

# A warped Pati-Salam model for the $B$ decay anomalies

MB & A. Crivellin – arXiv:1801.xxxxx

**Monika Blanke**



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# $B$ decay anomalies from the BSM perspective

## $B$ decay measurements

- $4.1\sigma$  deviation in  $b \rightarrow c\tau\nu$  decays
- $\sim 5\sigma$  anomaly in  $b \rightarrow s\mu^+\mu^-$  transitions

## Implications for BSM physics

- new particles at the TeV scale
- new source of lepton flavour universality violation
- yet need to comply with stringent constraints from
  - direct LHC searches
  - Higgs and electroweak precision constraints
  - flavour observables like  $B_s$  mixing,  $b \rightarrow s\nu\bar{\nu}$  etc.

# The Pati-Salam vector leptoquark

## Prime BSM candidate for simultaneous explanation:

$SU(2)_L$  singlet vector leptoquark with LH couplings to fermions

- no tree level contributions to  $B_s - \bar{B}_s$  mixing and  $b \rightarrow s\nu\bar{\nu}$  transitions
- purely left-handed coupling structure favoured by
  - global  $b \rightarrow s\mu^+\mu^-$  fits
  - total  $B_c$  lifetime
  - $B \rightarrow D\tau\nu$  differential rate

## Towards UV-complete model

Vector leptoquark arising from Pati-Salam gauge group

$$SU(4) \times SU(2)_L \times SU(2)_R$$

has the right gauge quantum numbers!

**Challenge:** flavour non-universal couplings to fermions

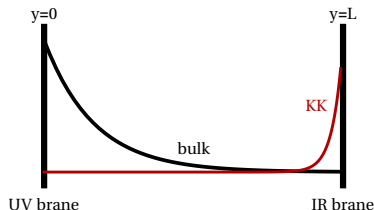
# Pati-Salam in the Randall-Sundrum background

## Idea:

embed Pati-Salam model into the 5D Randall-Sundrum space-time

$$ds^2 = e^{-2ky} \eta_{\mu\nu} dx^\mu dx^\nu - dy^2 \quad 0 \leq y \leq L$$

- extra space-time coordinate  $y$  confined to interval  $0 \leq y \leq L$ , and warped by  $e^{-2ky}$  factor
- 4D Kaluza-Klein (KK) decomposition
  - towers of massive KK modes localized near IR brane
  - massless zero modes depending on boundary conditions
    - identified with SM particles



# Gauge symmetry breaking pattern

## Two step symmetry breaking pattern

- 1 Pati-Salam gauge symmetry in the 5D bulk, broken by **boundary conditions on the UV brane**

$$SU(4) \times SU(2)_L \times SU(2)_R \rightarrow SU(3)_c \times SU(2)_L \times U(1)_Y$$

- 2 **SM Higgs confined to the UV brane** induces EW symmetry breaking

$$SU(2)_L \times U(1)_Y \rightarrow U(1)_{\text{em}}$$

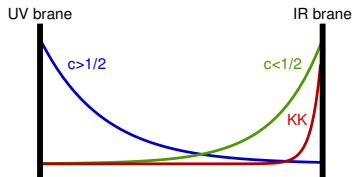
- Higgs decoupled from KK modes at IR brane
- stringent EW precision constraints are evaded
- Yukawa couplings need to respect SM gauge symmetry only
- *but*: usual RS solution to gauge and flavour hierarchy problems lost

# Fermion sector

- fermions as 5D bulk fields in complete PS representations

$$\begin{pmatrix} u_L^1 & u_L^2 & u_L^3 & \nu_L \\ d_L^1 & d_L^2 & d_L^3 & \ell_L \end{pmatrix} \sim (4, 2, 1) \quad \begin{pmatrix} u_R^1 & u_R^2 & u_R^3 & \nu_R \\ d_R^1 & d_R^2 & d_R^3 & \ell_R \end{pmatrix} \sim (4, 1, 2)$$

- massless zero modes correspond to SM fermions
- zero mode localization along extra dimension  $y$  depends exponentially on 5D bulk mass parameter  $c = m_{5D}/k$ 
  - non-universal couplings to KK modes



## ***B*** anomalies require

- hierarchical localization of LH fermions:  $c_{L1} > c_{L2} > c_{L3}$
- RH fermions localized at UV brane

# The 4D composite dual

## AdS/CFT correspondence: dual 4D composite model

- elementary sector with SM gauge group
- elementary Higgs field
- composite sector with Pati-Salam global symmetry
- left-handed fermions partially composite – linear mixing of SM fermions with composite resonances:  $0 \sim s_1 \ll s_2 \ll s_3 \sim 1/\sqrt{2}$
- right-handed fermions (mostly) elementary

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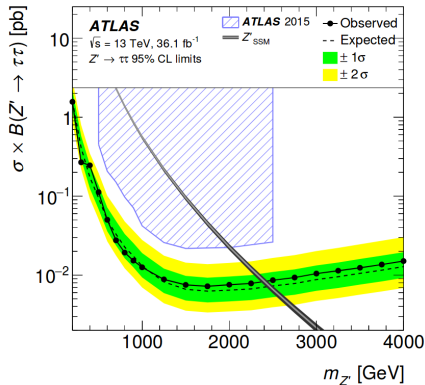
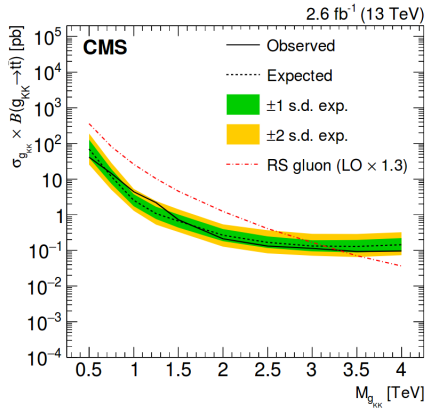
## Simplified model: keep only SM fields + lowest-lying KK modes

- common mass scale  $M_{KK}$  for all new particles
- massive vector resonances for entire PS gauge group
- massive vectorlike fermions that mix with SM fermions



# LHC constraints

strongest constraints from searches for  $t\bar{t}$  and  $\tau\bar{\tau}$  resonances



➤ for our model:  $M_{KK} \geq 3 \text{ TeV}$

# Flavour alignment

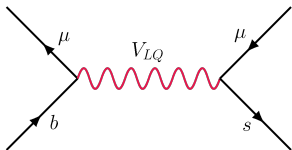
- generically, KK modes of gluons,  $B - L$  gauge boson and  $W_L^3$  mediate tree level FCNCs
  - reintroduces problematic contributions to meson mixings and  $b \rightarrow s\nu\bar{\nu}$
- avoided by imposing flavour alignment between elementary-composite mixing (=5D bulk masses) and  $Y_d$ 
  - no tree level FCNCs in the down sector
  - tree level contribution to  $D^0 - \bar{D}^0$  mixing sufficiently small
- resulting leptoquark coupling matrix

$$\Gamma_{d_i l_j}^{LQ,L} = \frac{ig_s^*}{\sqrt{2}} \begin{pmatrix} 0 & 0 & 0 \\ 0 & s_2^2 c_\ell & s_2^2 s_\ell \\ 0 & -s_3^2 s_\ell & s_3^2 c_\ell \end{pmatrix}_{ij}$$

$u_i \nu_j$  includes additional CKM rotation

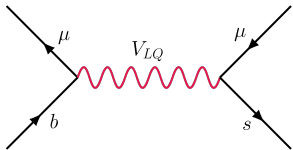
# Important tree level effects

$$b \rightarrow s \mu^+ \mu^-$$

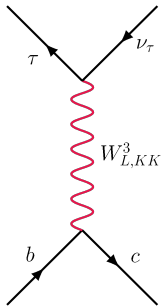
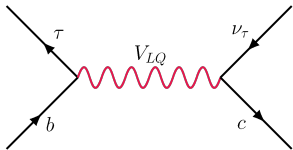


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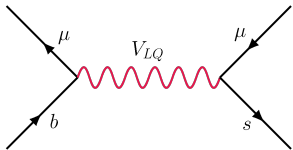


$$b \rightarrow c \tau \nu$$

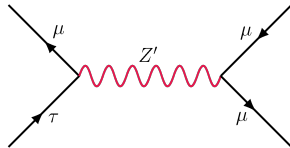


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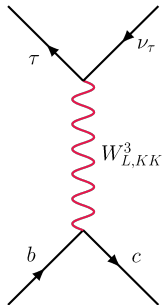
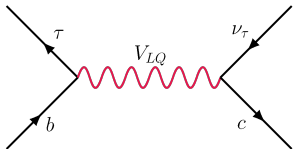
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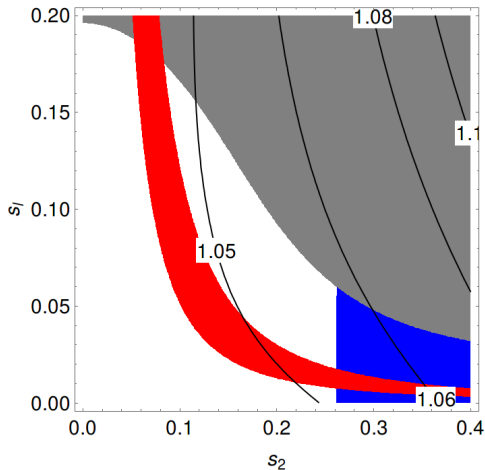
$$\tau \rightarrow 3\mu$$



$$b \rightarrow c\tau\nu$$



# Can we resolve the $B$ decay anomalies?



$s_2$ : 2nd generation compositeness

$s_\ell$ : leptonic mixing

■  $B \rightarrow K \tau \mu$  excluded

■  $\tau \rightarrow 3 \mu$  excluded

■  $b \rightarrow s \mu \mu$  ( $2\sigma$ )

—  $R(X)/(R(X))_{SM}$

**PRELIMINARY**

# Conclusions

- **Pati-Salam model in the Randall-Sundrum background** provides UV-complete model for  $SU(2)_L$  singlet vector leptoquark
- dangerous FCNC contributions from neutral KK gauge bosons evaded by down quark **flavour alignment**

➤ **full resolution of  $b \rightarrow s\mu^+\mu^-$  anomaly** and simultaneous **significant enhancement of  $R(D)$  and  $R(D^*)$** , without relevant fine-tuning in other flavour observables