# Recursive Neural Networks in quark/gluon Tagging

(arXiv:1711.02633)

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# Machine Learning in Jet Physics

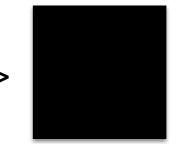
**DNN** Architectures

- Fully connected NNs
- CNN
- RNN (LSTM)
- RecNN

Jet Tagging

- top tagging
- W tagging
- b tagging
- q/g tagging
- . . .

Main Idea: low level information ->



-> output info.

(Classification)

# Machine Learning in Jet Physics

**DNN** Architectures

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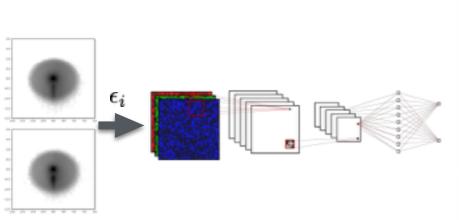
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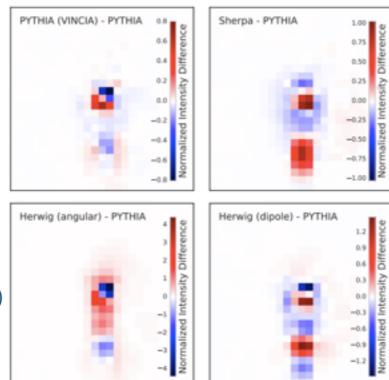
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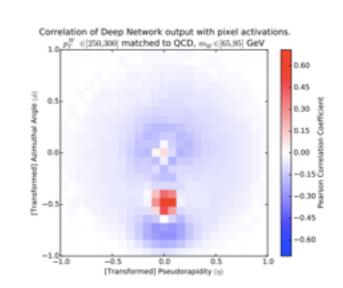
<- output info.

# Machine Learning in Jets Physics



(P. Komiske, et al. arXiv: arXiv:1612.01551)





(L. de Oliveira, et al. arXiv:1511.05190)

(J. Barnard, et al. arXiv:1609.00607)

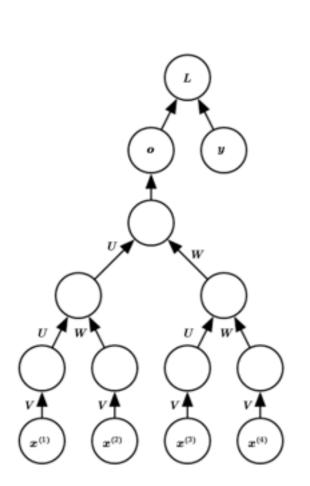
#### We are concerned with:

- input information
- the representation of the input information
- physics-motivated NNs architecture

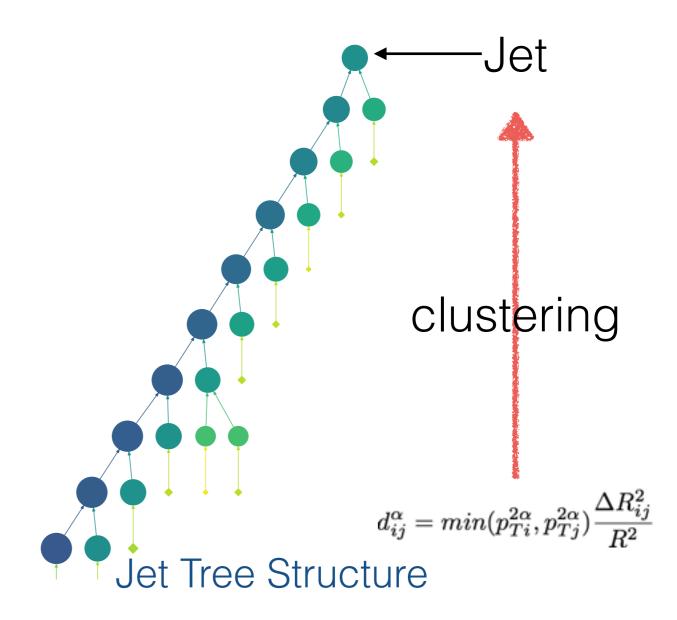
#### RecNN for Jets

#### Motivated by:

- problems in image approach: sparsity of jet images (5% 10% active), fixed image size, (information loss from pixelization)
- natural tree-like structure of sequential jet clustering history
- implementation in event-level



Recursive Neural Nets (RecNN)



### RecNN for Jets

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- implementation in event-level

[G. Louppe, K. Cho, C. Becot, K. Cranmer, arXiv: 1702.00748]

#### QCD-Aware Recursive Neural Networks for Jet Physics

Gilles Louppe, Vyunghyun Cho, Cyril Becot, and Kyle Cranmer

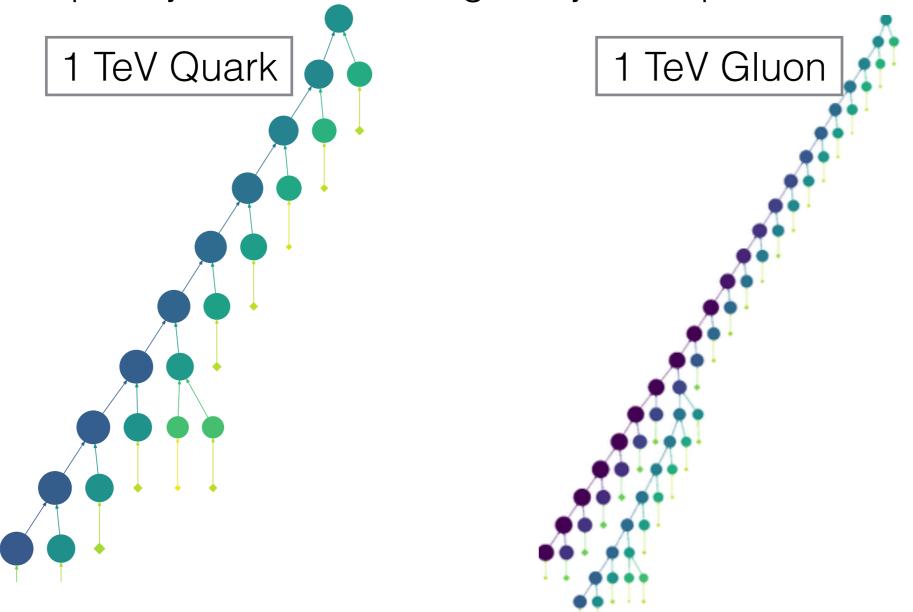
New York University

Recent progress in applying machine learning for jet physics has been built upon an analogy between calorimeters and images. In this work, we present a novel class of recursive neural networks built instead upon an analogy between QCD and natural languages. In the analogy, four-momenta are like words and the clustering history of sequential recombination jet algorithms is like the parsing of a sentence. Our approach works directly with the four-momenta of a variable-length set of particles, and the jet-based tree structure varies on an event-by-event basis. Our experiments highlight the flexibility of our method for building task-specific jet embeddings and show that recursive architectures are significantly more accurate and data efficient than previous image-based networks. We extend the analogy from individual jets (sentences) to full events (paragraphs), and show for the first time an event-level classifier operating on all the stable particles produced in an LHC event.

# RecNN for Quark/Gluon Tagging

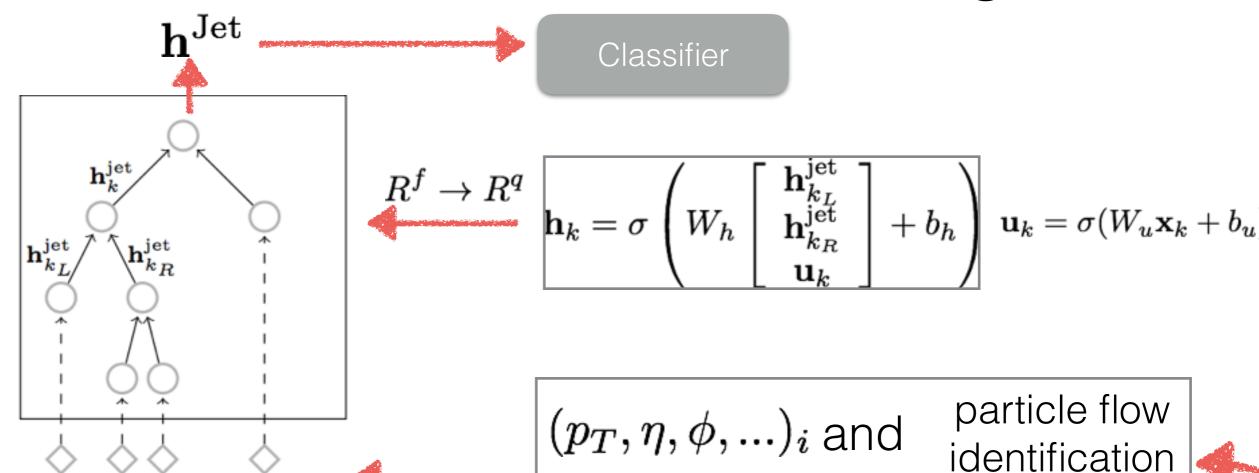
Quark jet v.s. Gluon jet  $\longrightarrow$  Different Radiation Patterns  $\langle N \rangle_g / \langle N \rangle_q \sim C_A/C_F \sim 2$ 

~50 for quark jets and ~90 for gluon jets @ pt = 1 TeV



Conventionally, track count has been the most powerful discriminant for q/g tagging

# RecNN & Jet Embedding



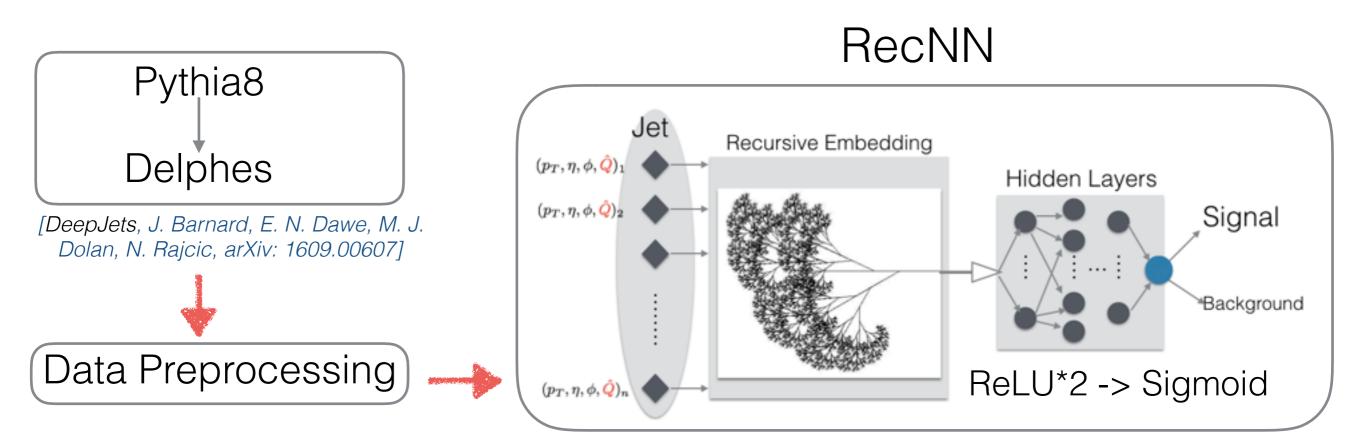
(taken from G. Louppe, K. Cho, C. Becot, K. Cranmer, arXiv: 1702.00748 ) ●

One hot vector  $((i_{\text{neutral hadron}}, i_{\text{photon}}, i_+, i_-), i = 0 \text{ or } 1)$ 

 $\bullet \quad \text{pt-weighted charge} \quad Q_k^{\rm rec} = \frac{Q_{k_L}^{\rm rec}(p_T^{k_L})^\kappa + Q_{k_R}^{\rm rec}(p_T^{k_R})^\kappa}{(p_T^k)^\kappa}$ 

<sup>\*</sup> with recursively defined pt-weighed charge, we can include the particle flow information in one variable which is well defined for all the nodes

### Workflow



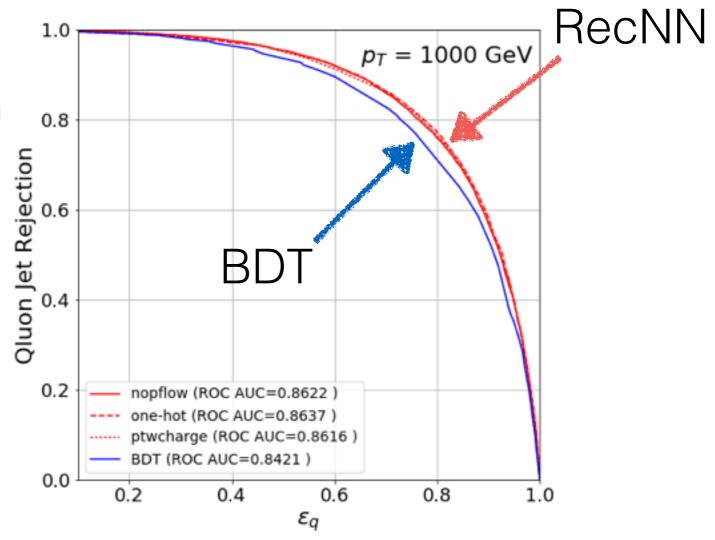
- Measure: ROC (AUC), background rejection rate @  $\epsilon_s = 50\%$
- Particle Flow Identification: one-hot vectors, or pt weighted charge

### Main Results

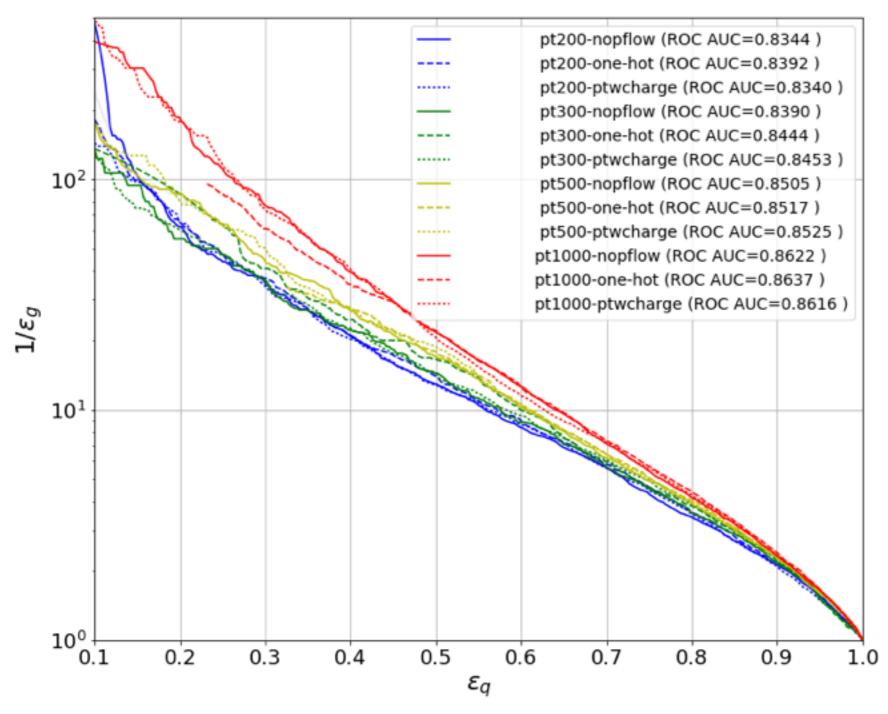
Baseline: BDT (jet mass  $m/p_T$ , jet girth  $\sum_{i \in \text{Jet}} \frac{p_T^i}{p_T^J} r_i$ , charged particle count  $\#_{\text{charged}}$ )

#### For RecNN,

- no particle flow identification
- one-hot vectors
- pt-weighted charge instead

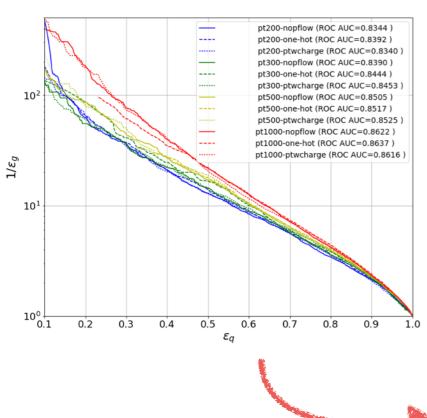


### Main Results



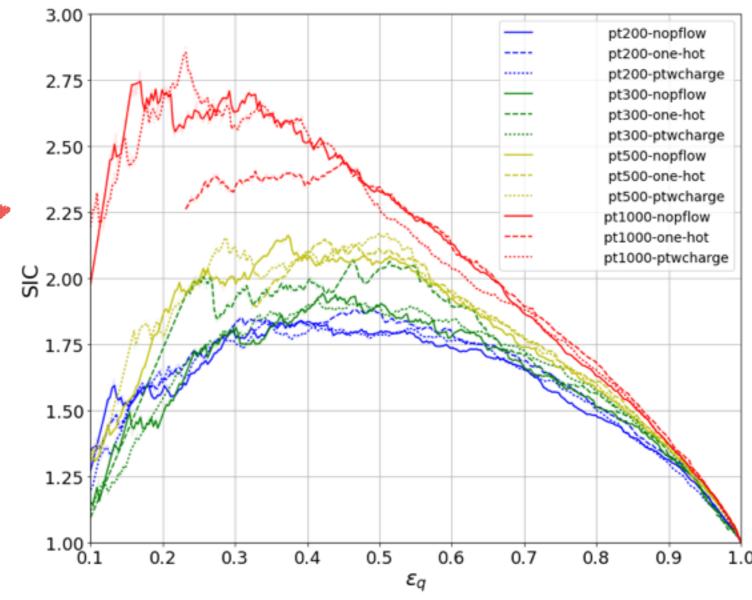
Jet pts: 200, 300, 500, 1000 GeV

#### Main Results



Jet pts: 200, 300, 500, 1000 GeV

$$\sigma \equiv \frac{S}{\sqrt{B}} \rightarrow \frac{\epsilon_S S}{\sqrt{\epsilon_B B}} = \left(\frac{\epsilon_S}{\sqrt{\epsilon_B}}\right) \sigma \rightarrow \text{SI} = \frac{\epsilon_S}{\sqrt{\epsilon_B}}$$
Significance Improvement



## Variants

[pt=200 GeV]

$oxed{ \left[ \begin{array}{c} \mathbf{u}_k \end{array} \right]}$	$\mathbf{h}_k = \sigma$	$\left(W_h\right[$	$egin{array}{l} \mathbf{h}_{k_L}^{ ext{jet}} \ \mathbf{h}_{k_R}^{ ext{jet}} \ \mathbf{u}_k \end{array}$	$\left] + b_h \right)$
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Variants in input \_\_\_\_\_ information

	[61 200 (		
	Variants	AUC	$R_{\epsilon=50\%}$
	Baseline	0.8344	12.9
_	R=0.7	0.8210	12.4
	$W_h \to R^{q \times 2q}$	0.8268	12.3
	$W_h \to R^{q \times 2q}$ with one-hot	0.8313	13.7
	$\mathbf{x} = (p_T,  \eta,  \phi)$	0.8291	11.8
>	$\mathbf{x} = (\eta, \phi)$	0.8249	11.9
	$\mathbf{x} = (p_T)$	0.8264	11.6
	only one-hot	0.8255	11.9
	$\mathbf{x} = (Q_{\kappa=50\%}^{\text{rec}})$	0.8234	11.3

- particle flow identification doesn't help significantly
- the discriminating information for q/g tagging is RecNN mainly reside in the tree structure itself

## Variants

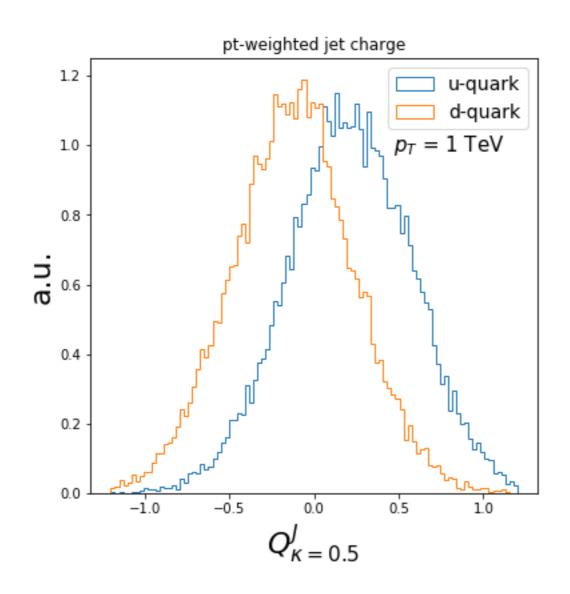
[pt=200 GeV]

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/ [ <b>h</b> jet ] \	R = 0.7	0.8210	12.4
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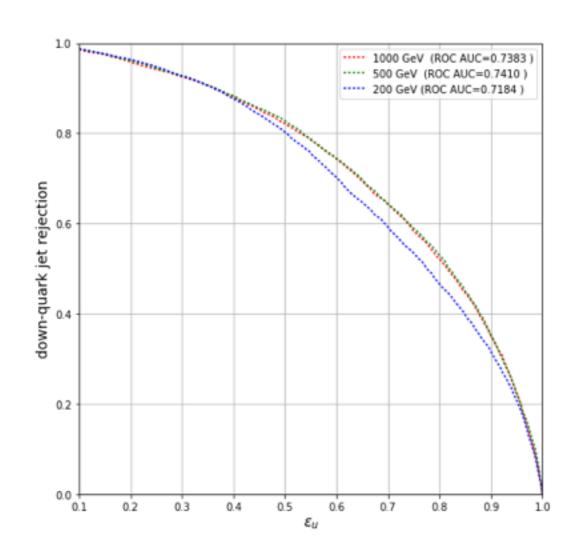
# Jet Charge

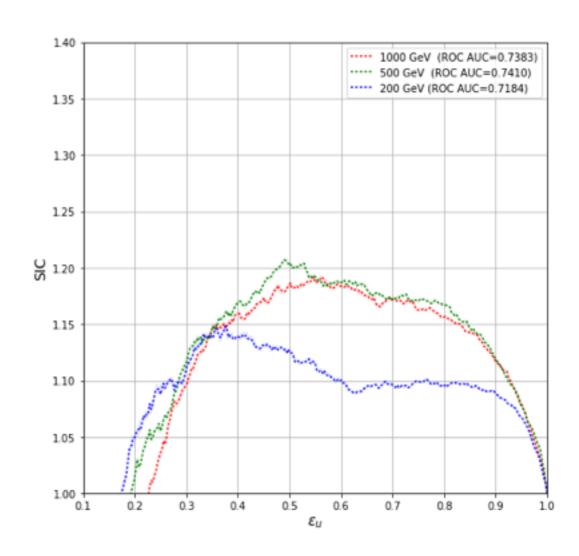
pt weighted jet charge  $Q_{\kappa}^{J} = \sum_{i \in J} (\frac{p_{T}^{i}}{p_{T}^{J}})^{\kappa} q_{i}$ 



# Jet Charge

#### u/d discrimination



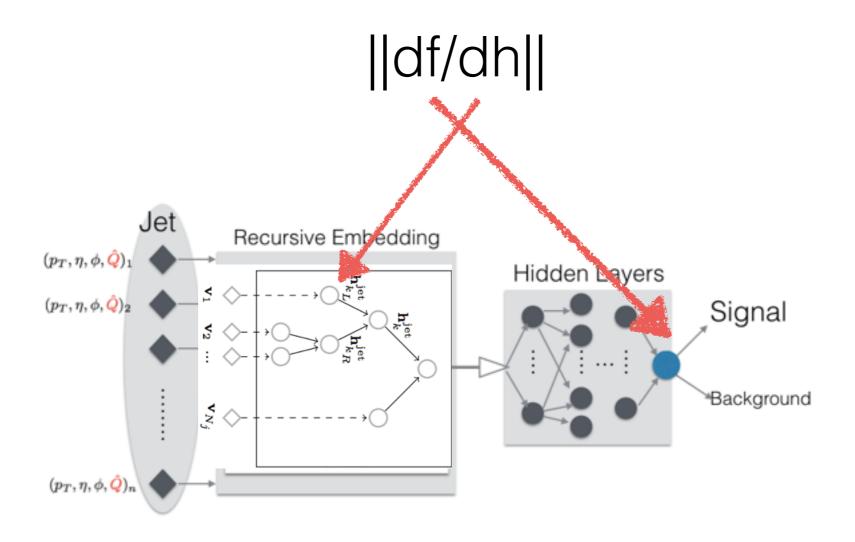


RecNNs with pt-weighted charge

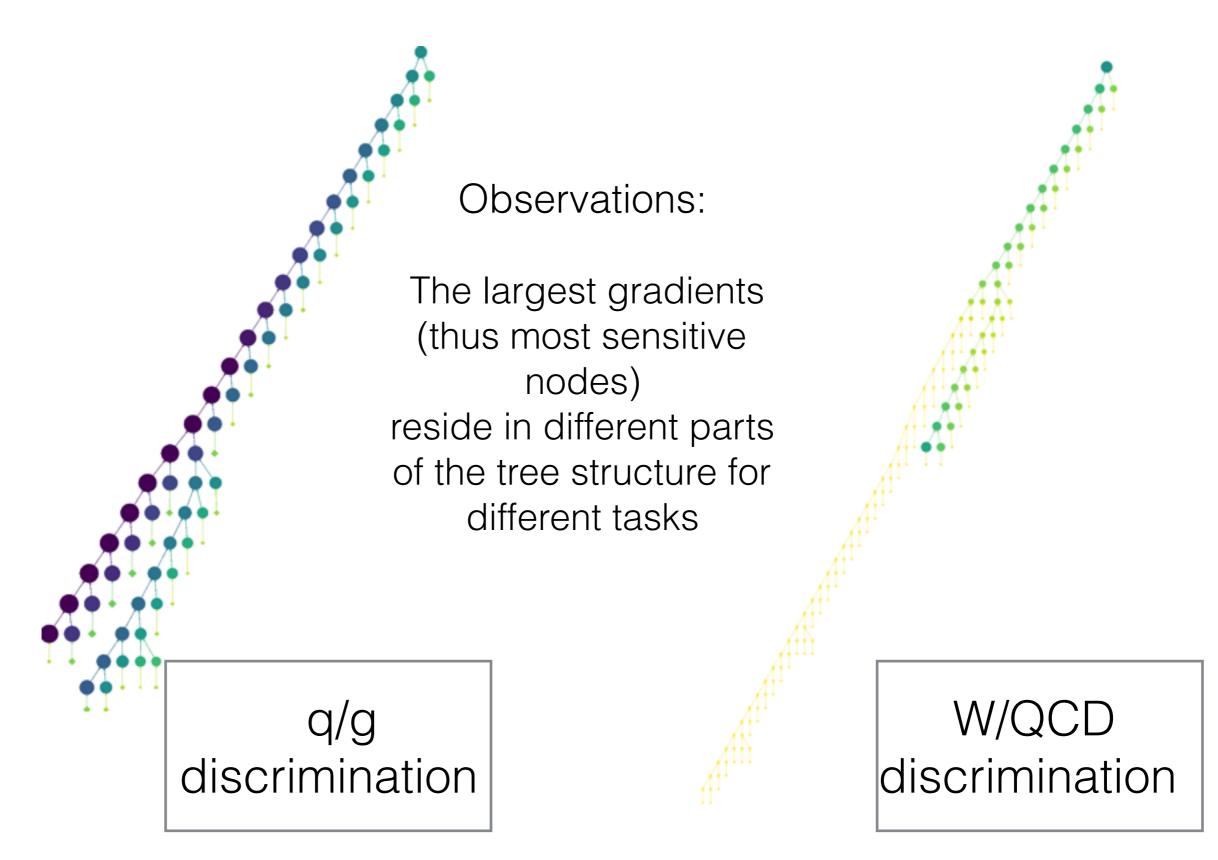
<sup>\*</sup> one-hot implementation doesn't work here

## Visualisation

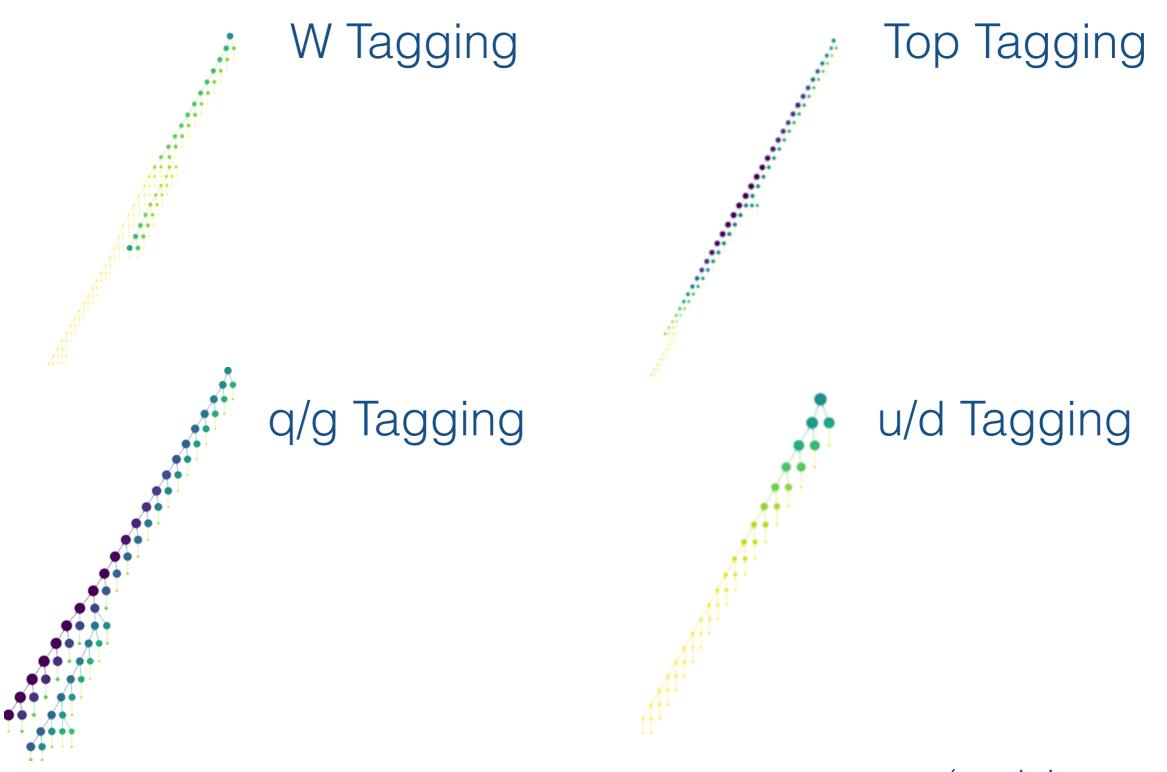
Sensitivity indicated by gradients

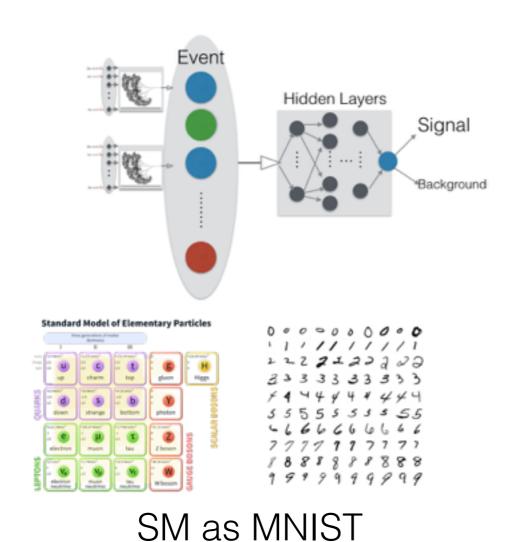


# Visualisation



# Visualisation

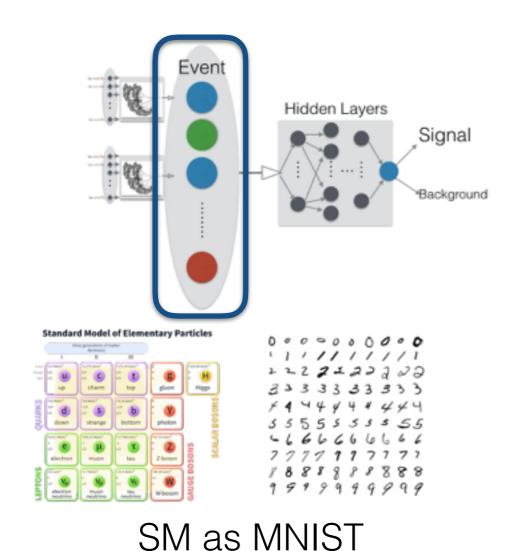




Event-level analysis

Multiclass classification

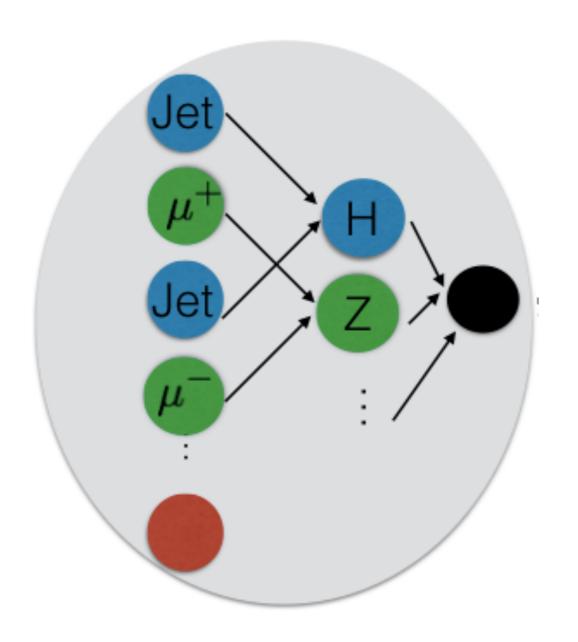
Jet Algorithms



Event-level analysis

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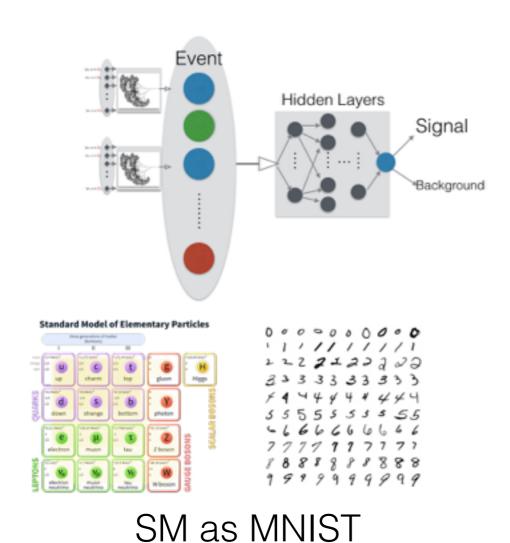
Jet Algorithms



Event-level analysis

Multiclass classification

Jet Algorithms



Event-level analysis

Multiclass classification

Jet Algorithms

# Summary

#### What has been done:

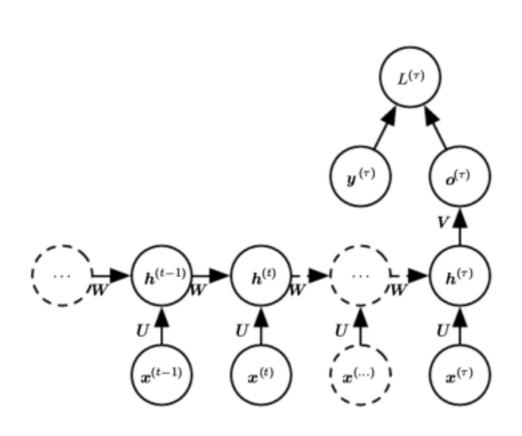
- examined performance of RecNNs in q/g tagging in detail
- explored different variants of the networks (which shows that the main information is included in the tree-structure itself)

#### What to expect:

- Visualisation study
- Full event analysis
- Jet clustering implemented with DNNs

Thank you!

# Backup

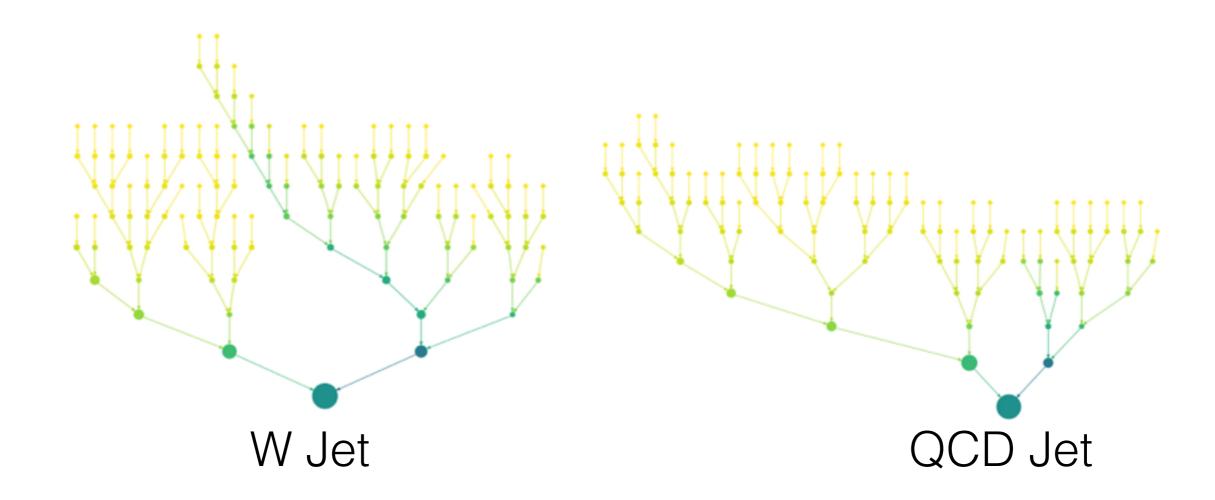


RNN

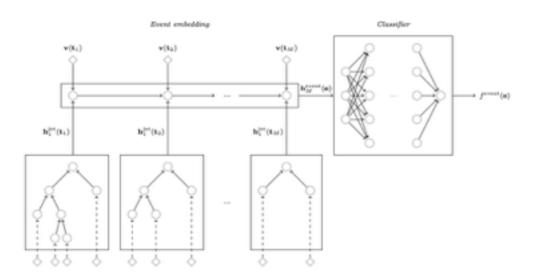
RecNN

# Backup

#### W/QCD Tagging



# Backup



In Gilles' work, it has been shown that only the 2 hardest jets give the best results. Other soft jets even deflect performance

Input	ROC AUC	$R_{\epsilon=80\%}$			
Hardest jet					
$\mathbf{v}(\mathbf{t}_j)$	$0.8909 \pm 0.0007$	$5.6 \pm 0.0$			
$\mathbf{v}(\mathbf{t}_j), \mathbf{h}_j^{\mathrm{jet}(k_t)} \\ \mathbf{v}(\mathbf{t}_j), \mathbf{h}_j^{\mathrm{jet}(\mathrm{desc}-p_T)}$	$\textbf{0.9602}\pm0.0004$	$\textbf{26.7} \pm \textbf{0.7}$			
$\mathbf{v}(\mathbf{t}_j),  \mathbf{h}_j^{\mathrm{jet(desc-}p_T)}$	$0.9594 \pm 0.0010$	$25.6 \pm 1.4$			
2 hardest jets					
$\mathbf{v}(\mathbf{t}_j)$	$0.9606 \pm 0.0011$	$21.1 \pm 1.1$			
$\mathbf{v}(\mathbf{t}_j), \mathbf{h}_j^{\mathrm{jet}(k_t)}$	$0.9866 \pm 0.0007$	$156.9 \pm 14.8$			
$\mathbf{v}(\mathbf{t}_j), \mathbf{h}_j^{\mathrm{jet}(k_t)} \\ \mathbf{v}(\mathbf{t}_j), \mathbf{h}_j^{\mathrm{jet}(\mathrm{desc}-p_T)}$	$0.9875 \pm 0.0006$	$\textbf{174.5} \pm \textbf{14.0}$			
5 hardest jets					
$\mathbf{v}(\mathbf{t}_j)$	$0.9576 \pm 0.0019$	$20.3 \pm 0.9$			
$\mathbf{v}(\mathbf{t}_j), \mathbf{h}_j^{\mathrm{jet}(k_t)} \\ \mathbf{v}(\mathbf{t}_j), \mathbf{h}_j^{\mathrm{jet}(\mathrm{desc}-p_T)}$	$0.9867 \pm 0.0004$	$152.8 \pm 10.4$			
$\mathbf{v}(\mathbf{t}_j),  \mathbf{h}_j^{\mathrm{jet(desc-}p_T)}$	$\textbf{0.9872}\pm0.0003$	$\textbf{167.8} \pm \textbf{9.5}$			
No jet cl	ustering, desc- $p_T$ or	n $\mathbf{v}_i$			
i = 1	$0.6501 \pm 0.0023$	$1.7 \pm 0.0$			
i = 1,, 50	$0.8925 \pm 0.0079$	$5.6\pm0.5$			
i = 1,, 100	$0.8781 \pm 0.0180$	$4.9 \pm 0.6$			
i = 1,, 200	$0.8846 \pm 0.0091$	$5.2 \pm 0.5$			
$i = 1, \dots, 400$	$0.8780 \pm 0.0132$	$4.9 \pm 0.5$			

Right now, the pre-clustering is still necessary. However, it will be interesting if we combine the jet clustering and event-level analysis.