



## **2012 :15th SESSION of ESMP**

**Lecture presented in Archamps (Salève Building) by :**

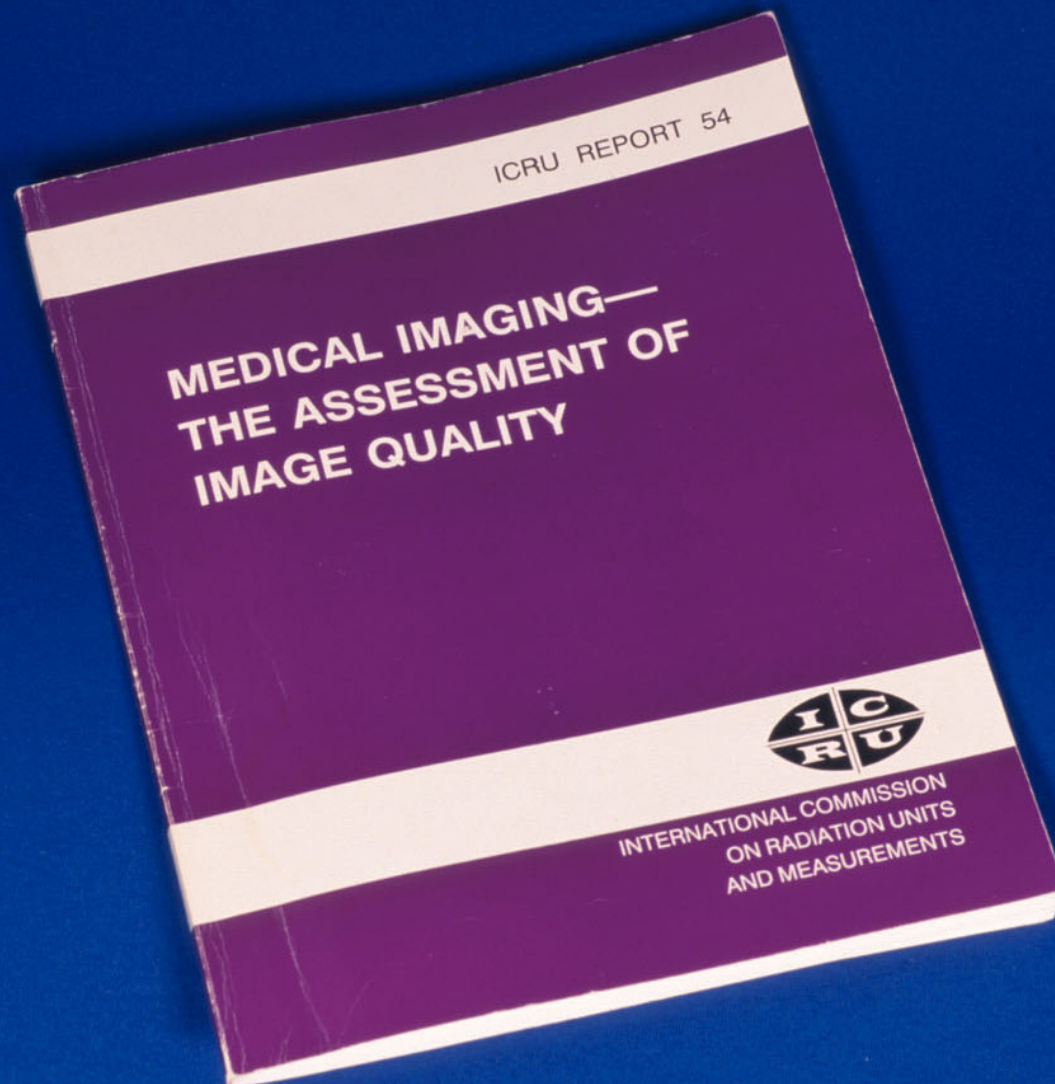
**Peter SHARP (Aberdeen)**



# IMAGE QUALITY THEORY

Peter F Sharp  
University of Aberdeen



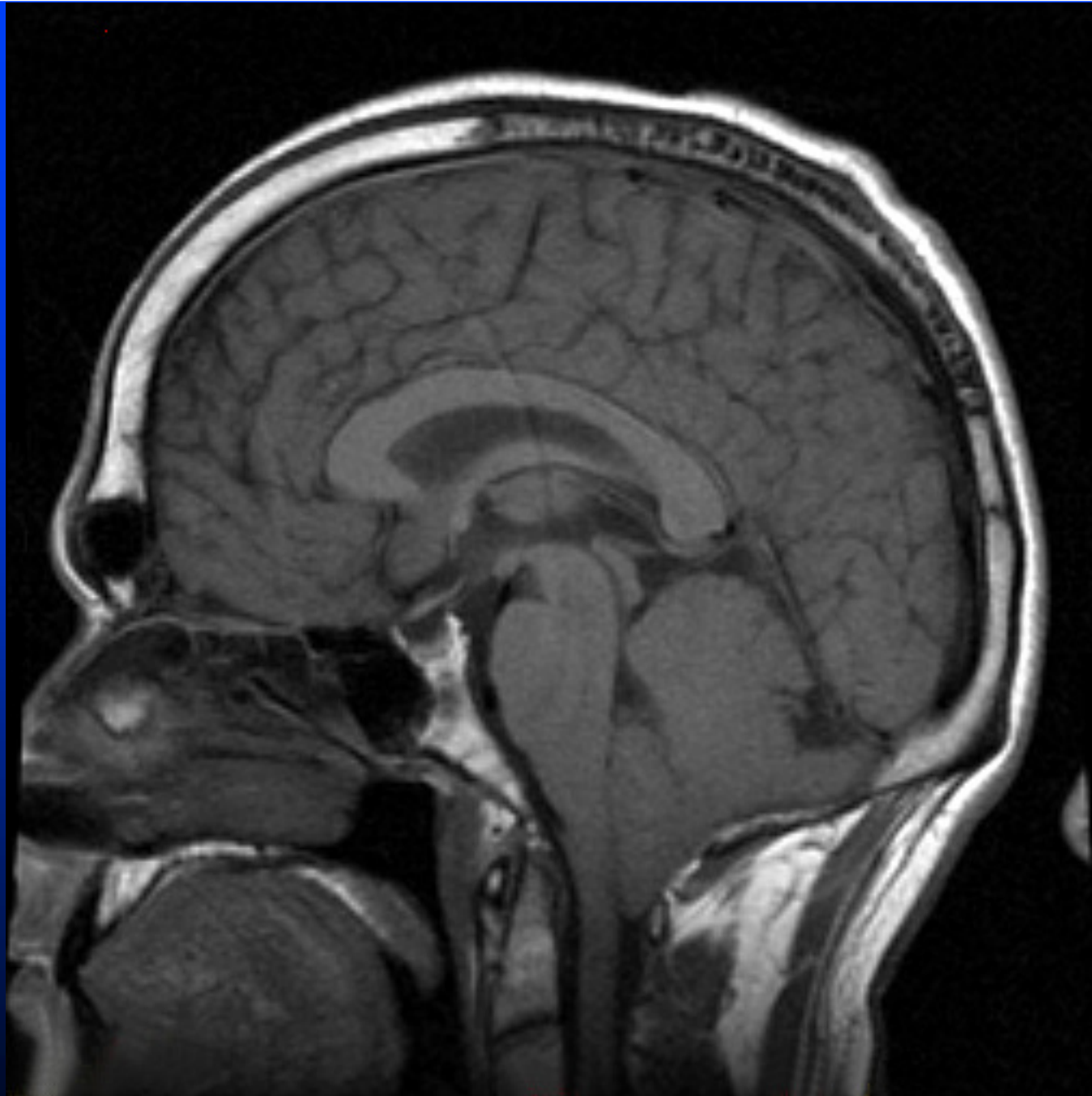


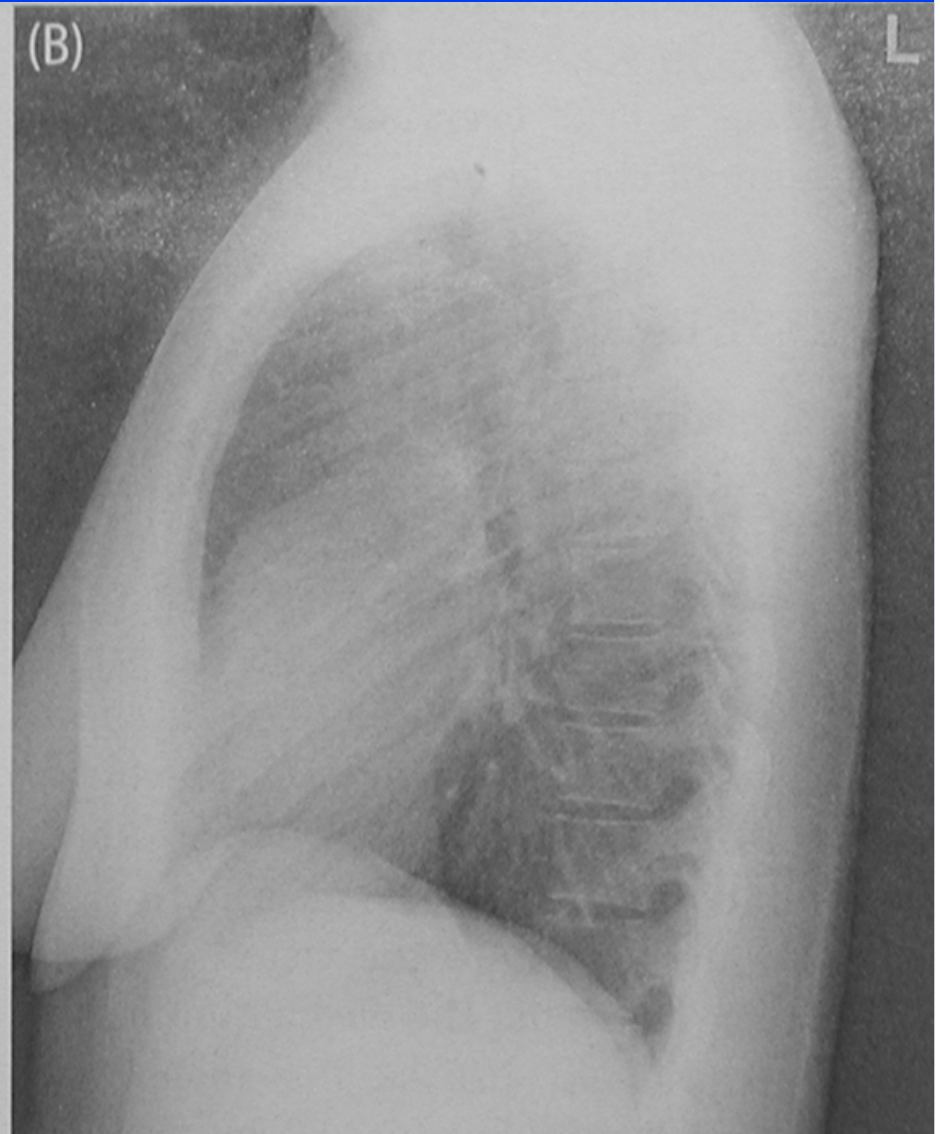
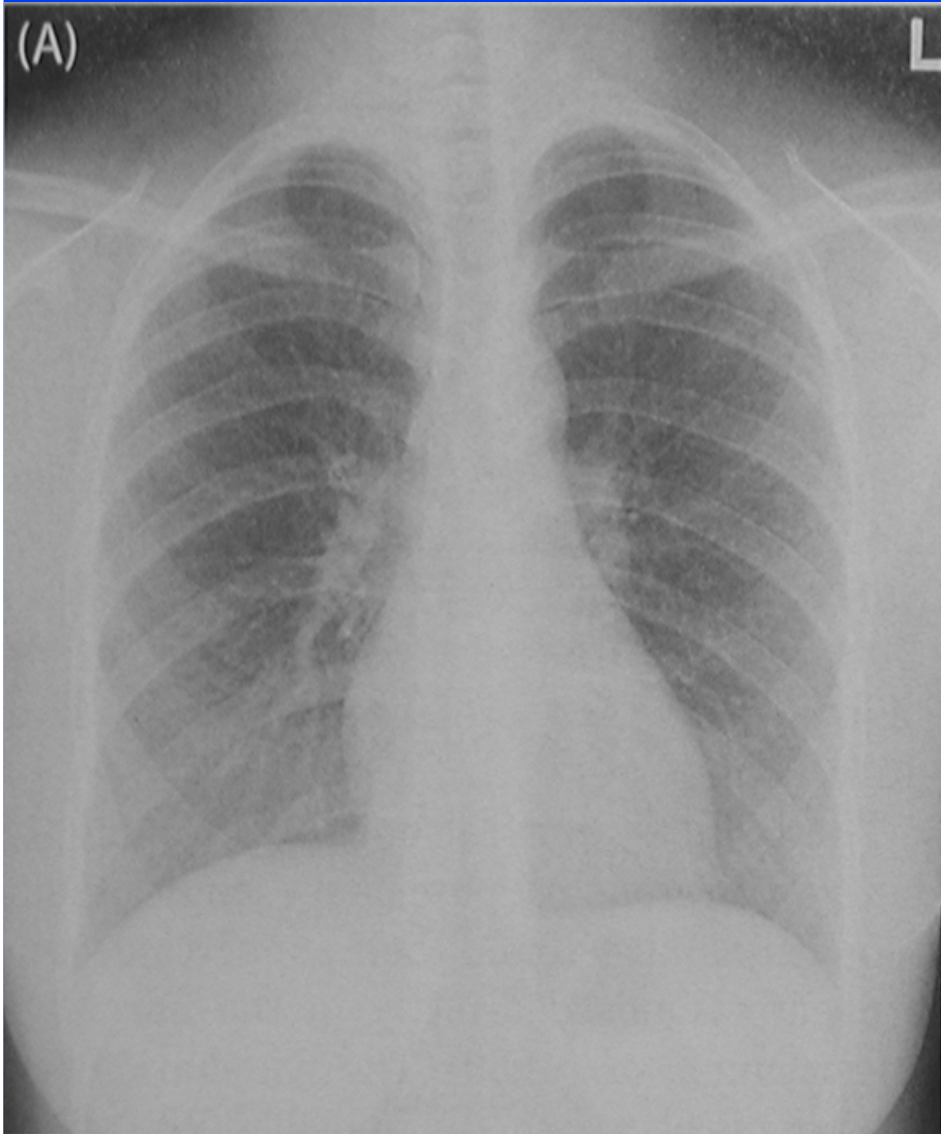




# IMAGE QUALITY IS :

A MEASURE OF THE EFFECTIVENESS WITH WHICH AN IMAGE CAN BE USED FOR ITS INTENDED TASK.











# MEASURING IMAGE QUALITY IS A TWO STAGE PROCESS:

- DEFINE THE TASK
- MEASURE THE ABILITY TO PERFORM THE TASK

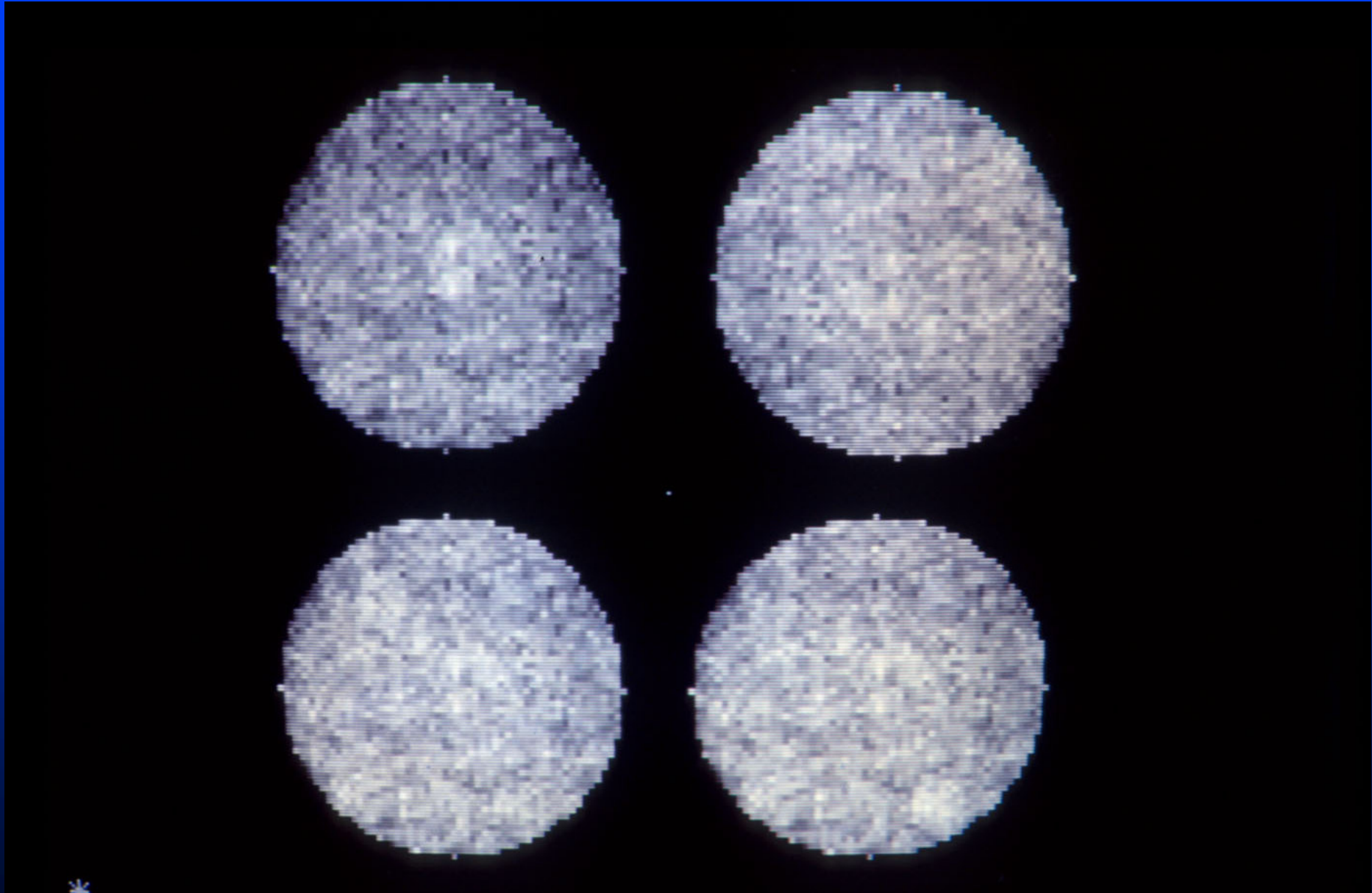
**CLASSIFICATION :- assigning  
an image to one of a limited  
number of groups or classes**

**ESTIMATION :- measurement  
of a continuous parameter**

# CLASSIFICATION



**DETECTION** :- assigning an image to one of TWO groups or classes





NEED TO SEE HOW IMAGE  
QUALITY FITS INTO THE WIDER  
CLINICAL PROBLEM

# EFFICACY / EFFECTIVENESS

The probability of the medical technology benefiting people who have a specific medical problem.

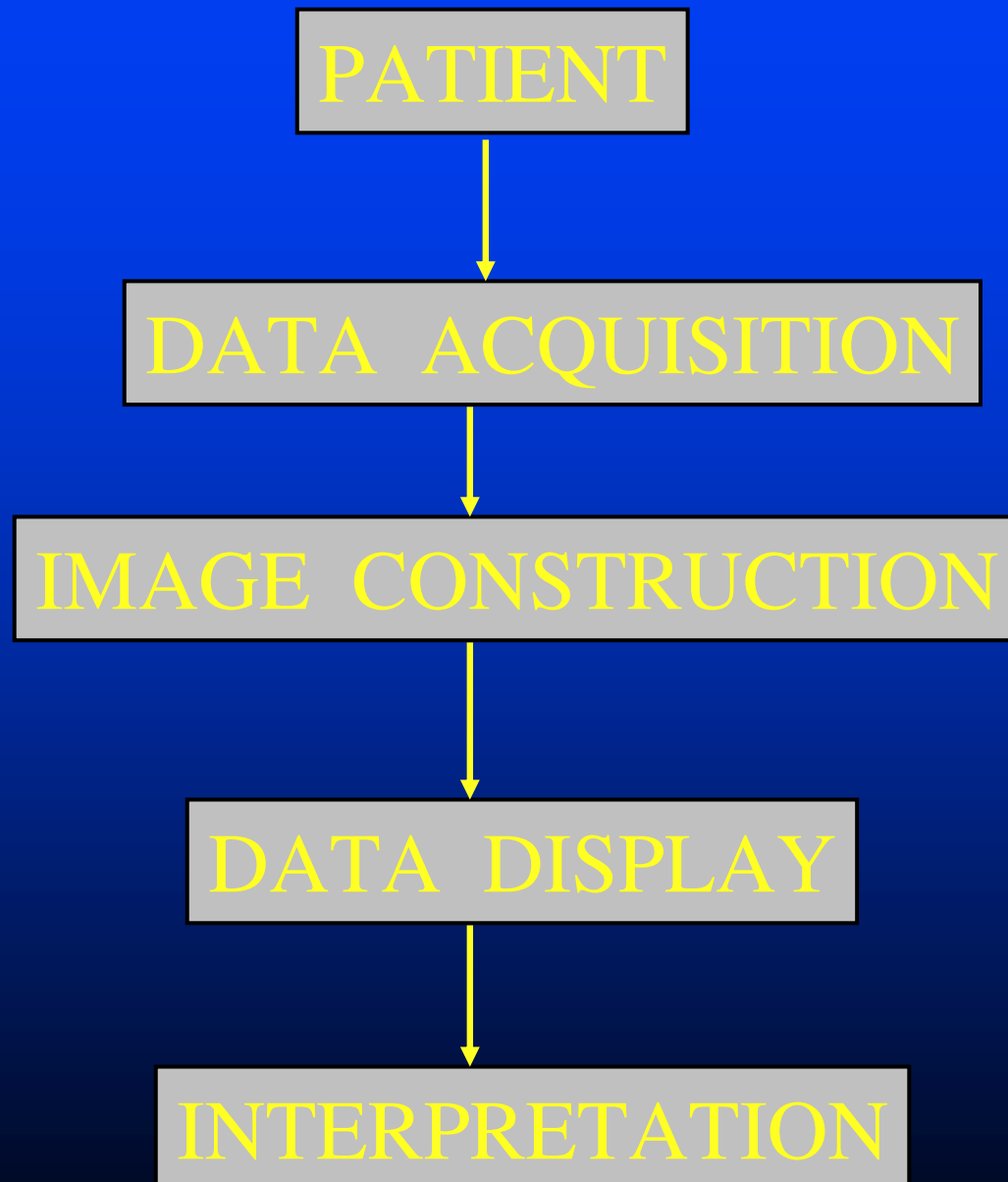
# EFFICACY

	LEVEL	OUTPUT MEASURE
1	TECHNICAL	MTF, NOISE
2	DIAGNOSTIC ACCURACY	SENSITIVITY, SPECIFICITY
3	DIAGNOSTIC THINKING	CHANGES IN CLINICIAN'S DIAGNOSTIC PROBABILITY

# EFFICACY

QUALY IS QUALITY OF LIFE YEARS





**ACQUIRED DATA**



**DISPLAYED DATA**

# PHYSICAL FACTORS AFFECTING IMAGE QUALITY

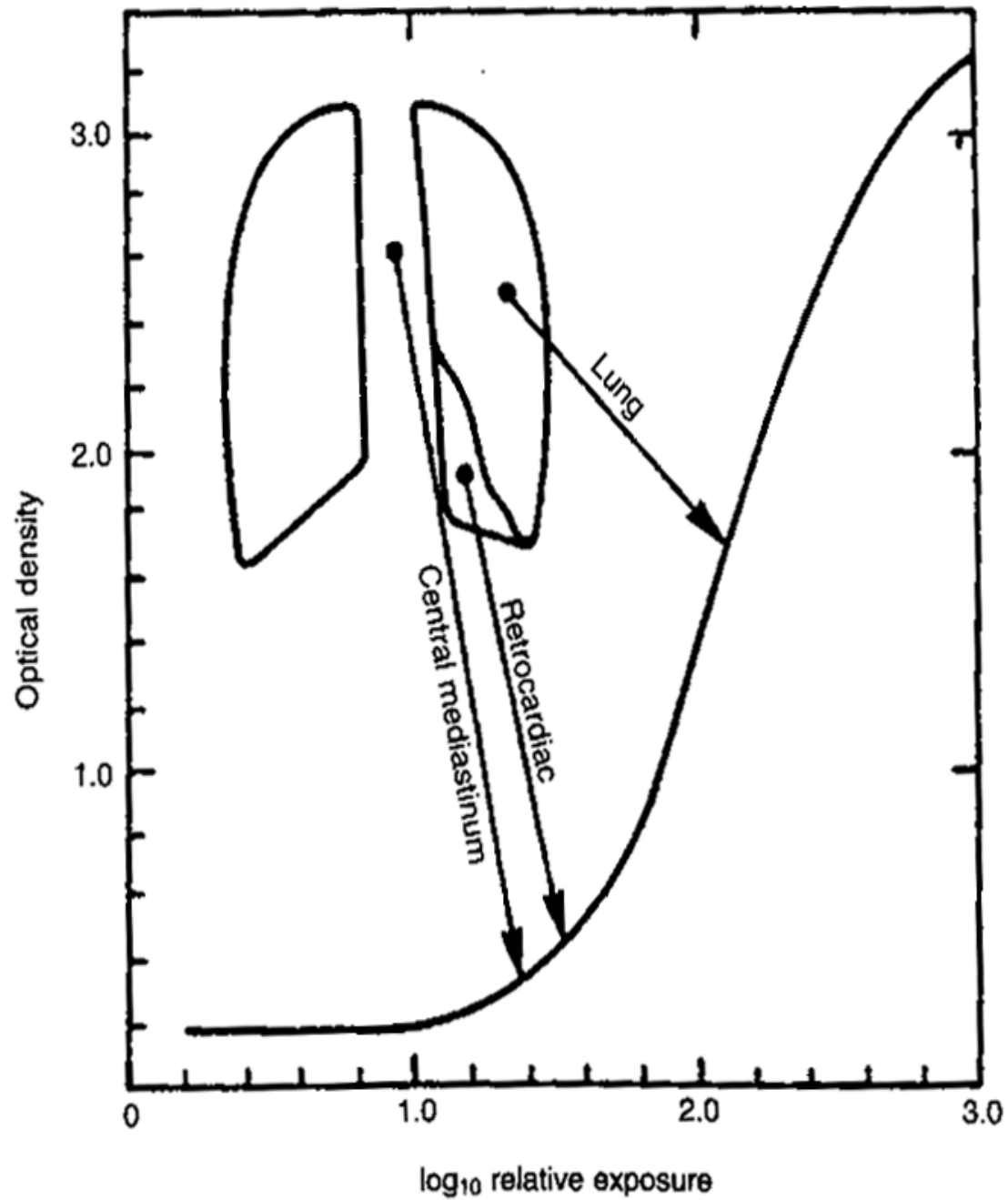
1. LARGE AREA SYSTEM TRANSFER FACTOR
2. SPATIAL RESOLUTION
3. NOISE

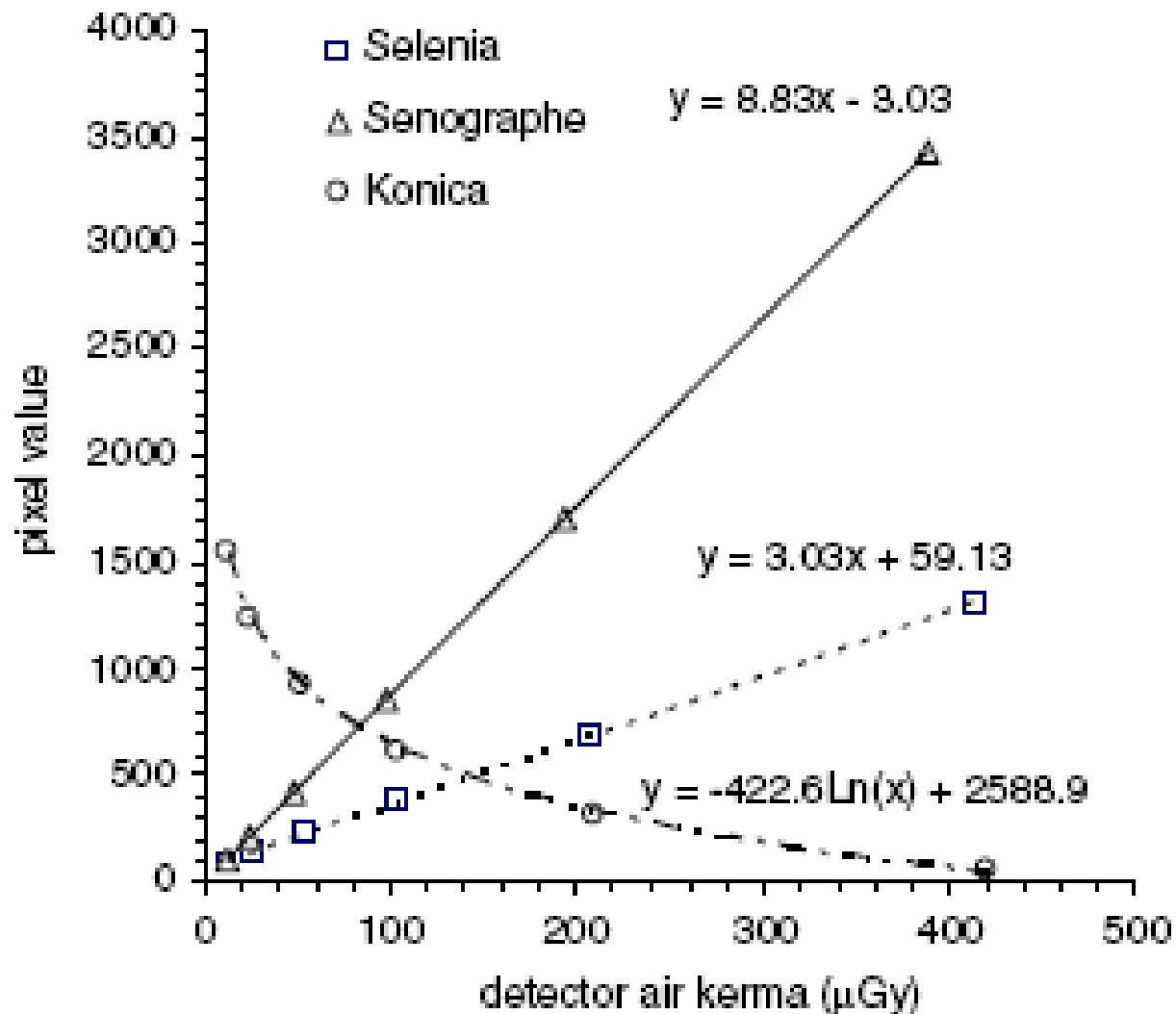
# 1. LARGE AREA TRANSFER FACTOR

The factor describing the scaling of information between the input and output of an imaging system.

Takes no account of spatial information.





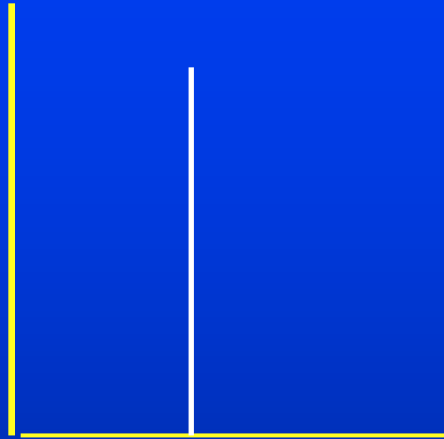


From Marshall NW Early experience in the use of quantitative image quality measurements for the quality assurance of full field digital mammography x-ray systems, Phys Med Biol, 2007;52:5545-5568

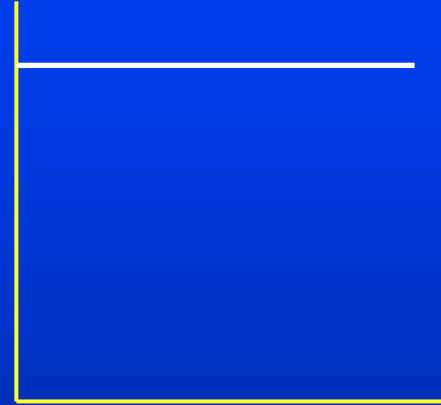
## 2. MODULATION TRANSFER FUNCTION

Relative amplitude of the output signal as a function of spatial frequency.

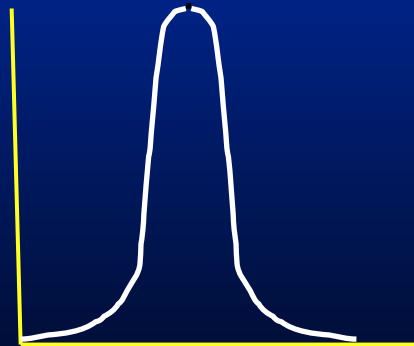
## REAL SPACE



## FOURIER SPACE

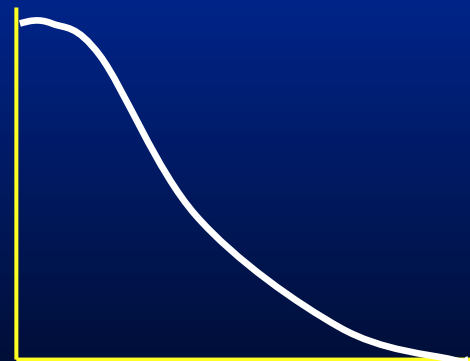


PSF



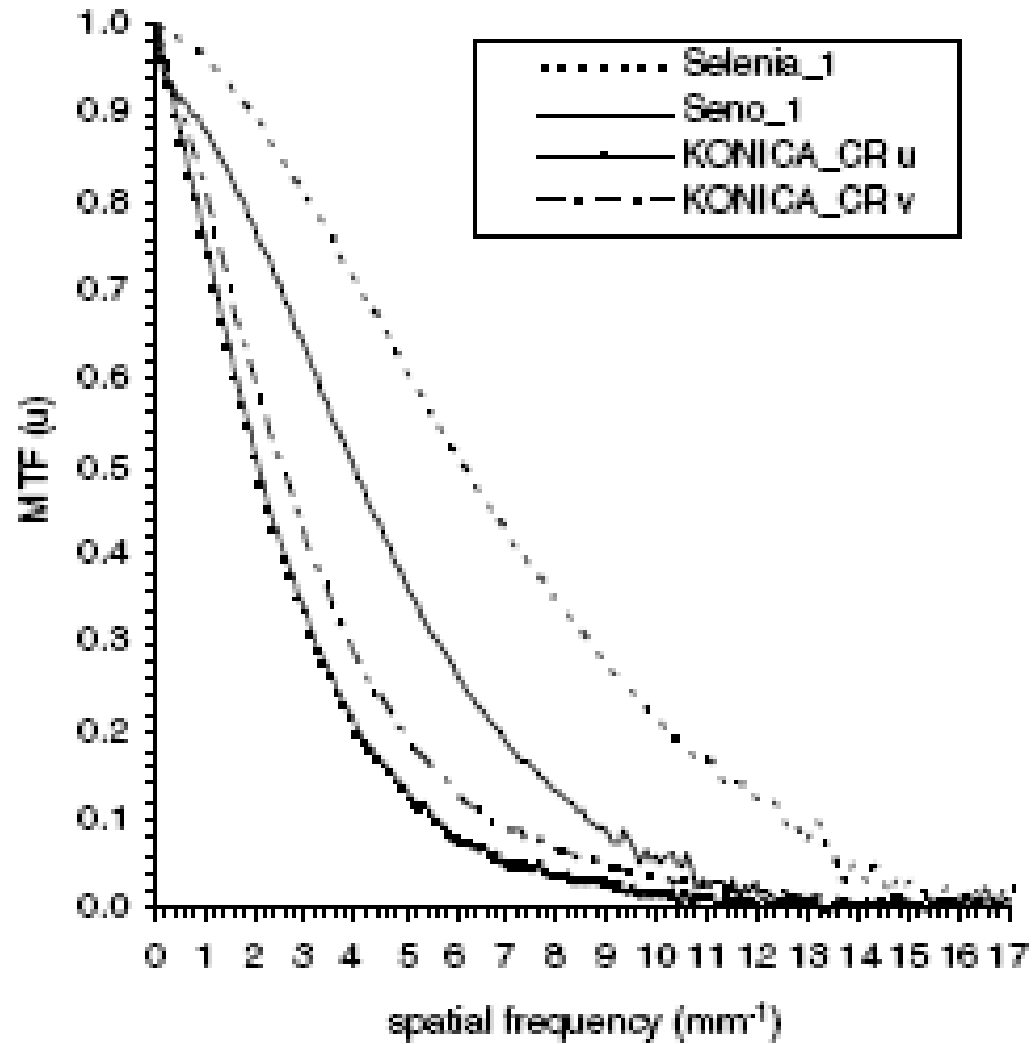
distance

MTF



spatial  
frequency





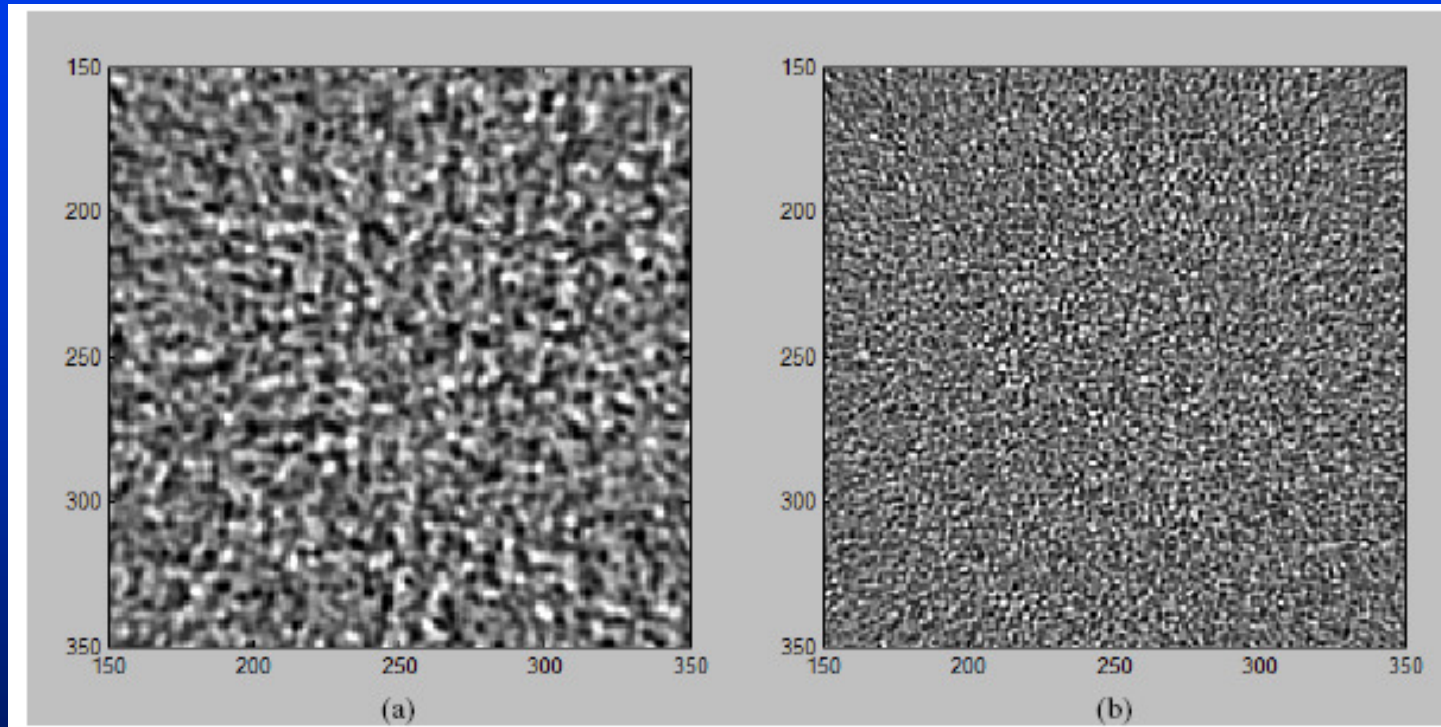
From Marshall NW Early experience in the use of quantitative image quality measurements for the quality assurance of full field digital mammography x-ray systems, Phys Med Biol, 2007;52:5545-5568

## MEASUREMENT OF MTF

- Width of line or slit used must be small compared with the LSF.
- The length of the slit must be greater than 10 times the extent of the PSF.
- The sampling distance should be less than 12% of the FWHM of the LSF.
- The peak of the LSF should be at the centre of a pixel.

### 3. NOISE

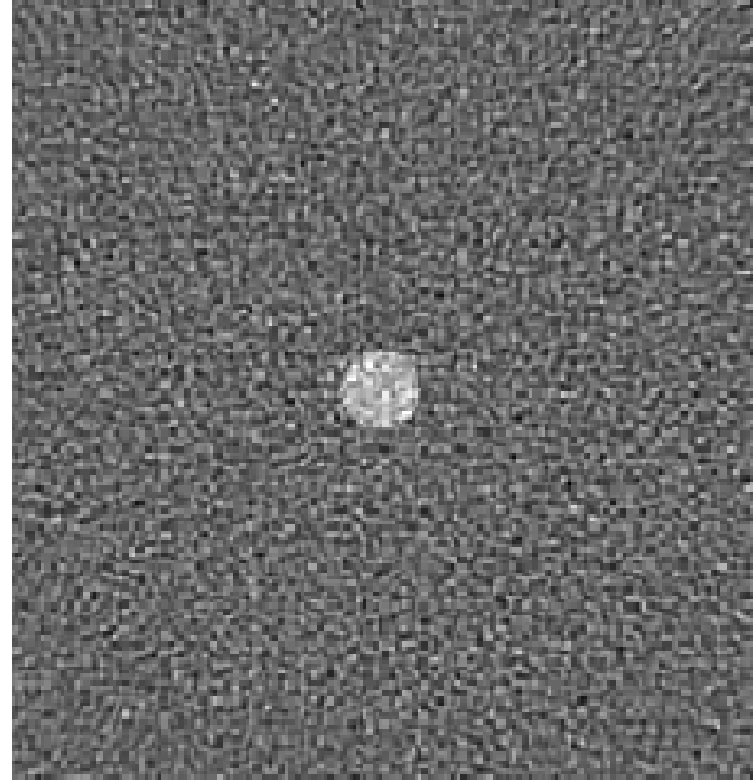
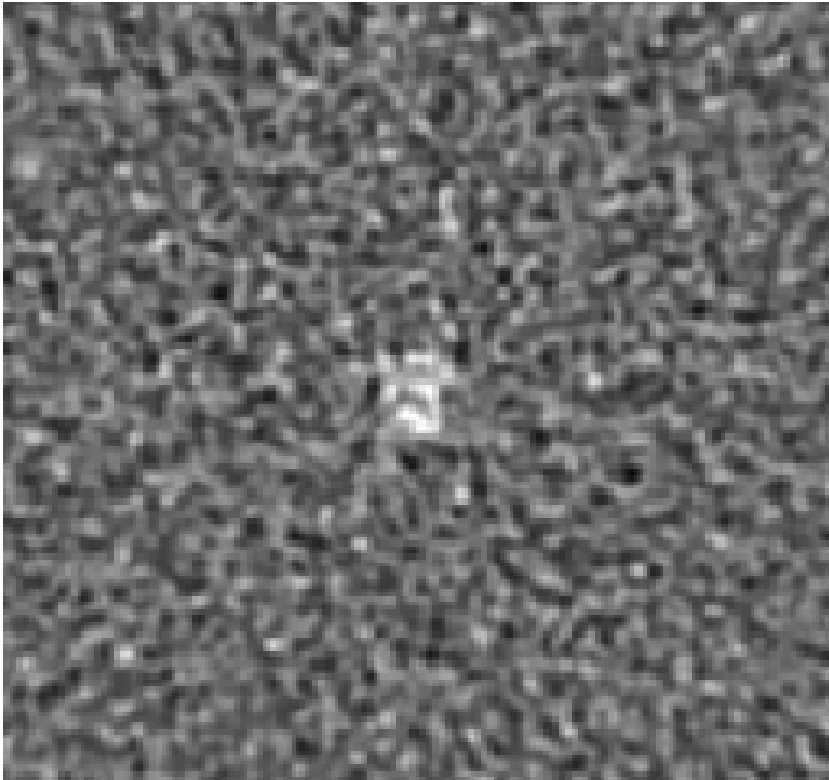
Standard deviation of the number of photons per image pixel.



Noise, as measured by standard deviation, is same in both images.

**BUT,**

Takes no account of the spatial structure of the noise.

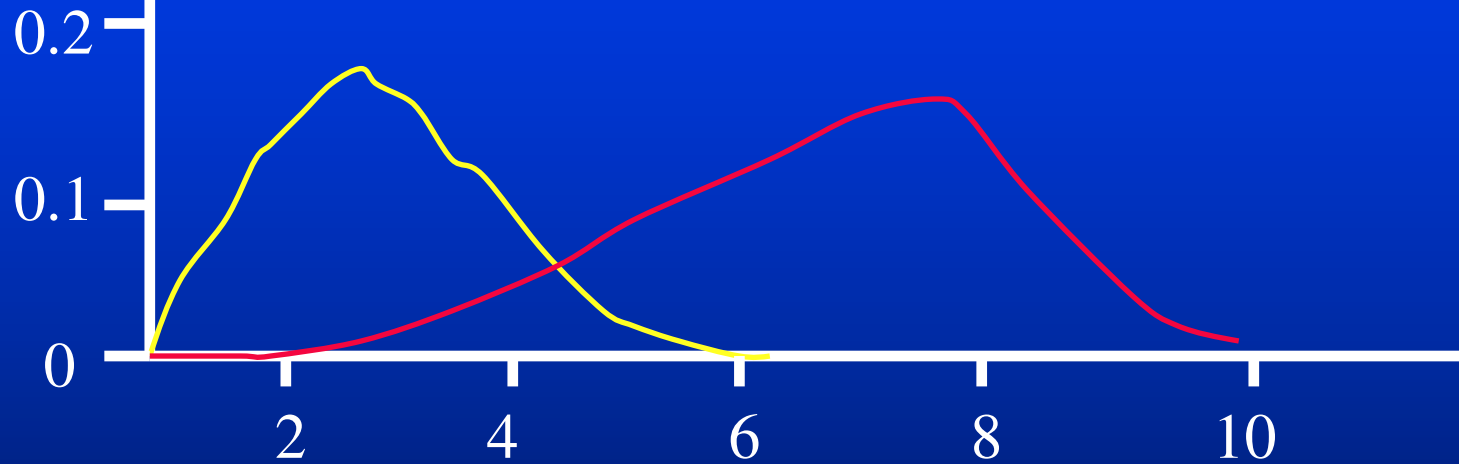


K L Boedeker and M F McNitt-Gray “Application of the noise power spectrum in modern diagnostic MDCT.” *Phys Med Biol* 52, (2007) 4047

# NOISE POWER OR WIENER SPECTRUM

The noise variance (i.e. standard deviation<sup>2</sup> )  
analysed in terms of  
its spatial frequency content

$HU^2\text{cm}^2$

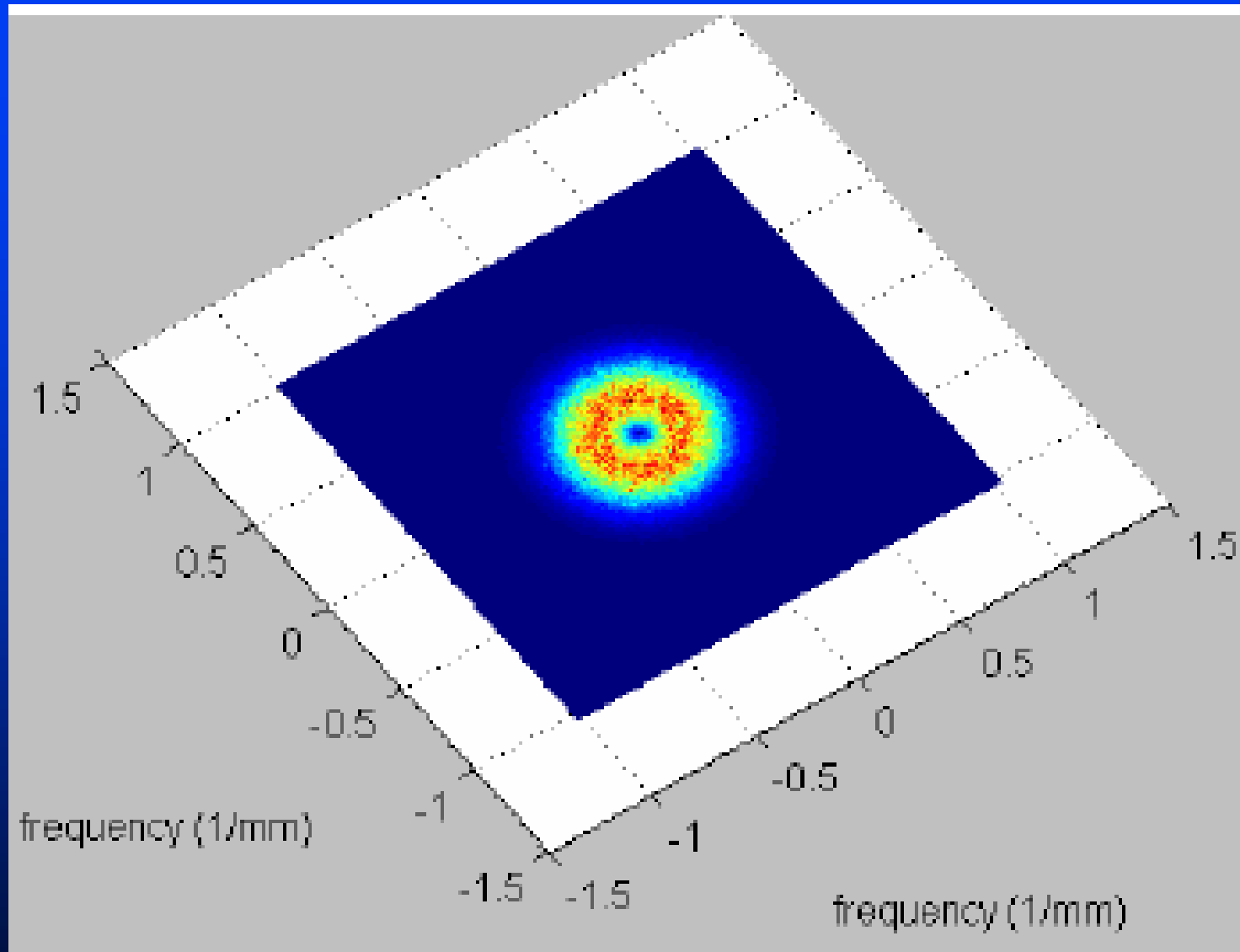


Spatial frequency,  $\text{cm}^{-1}$

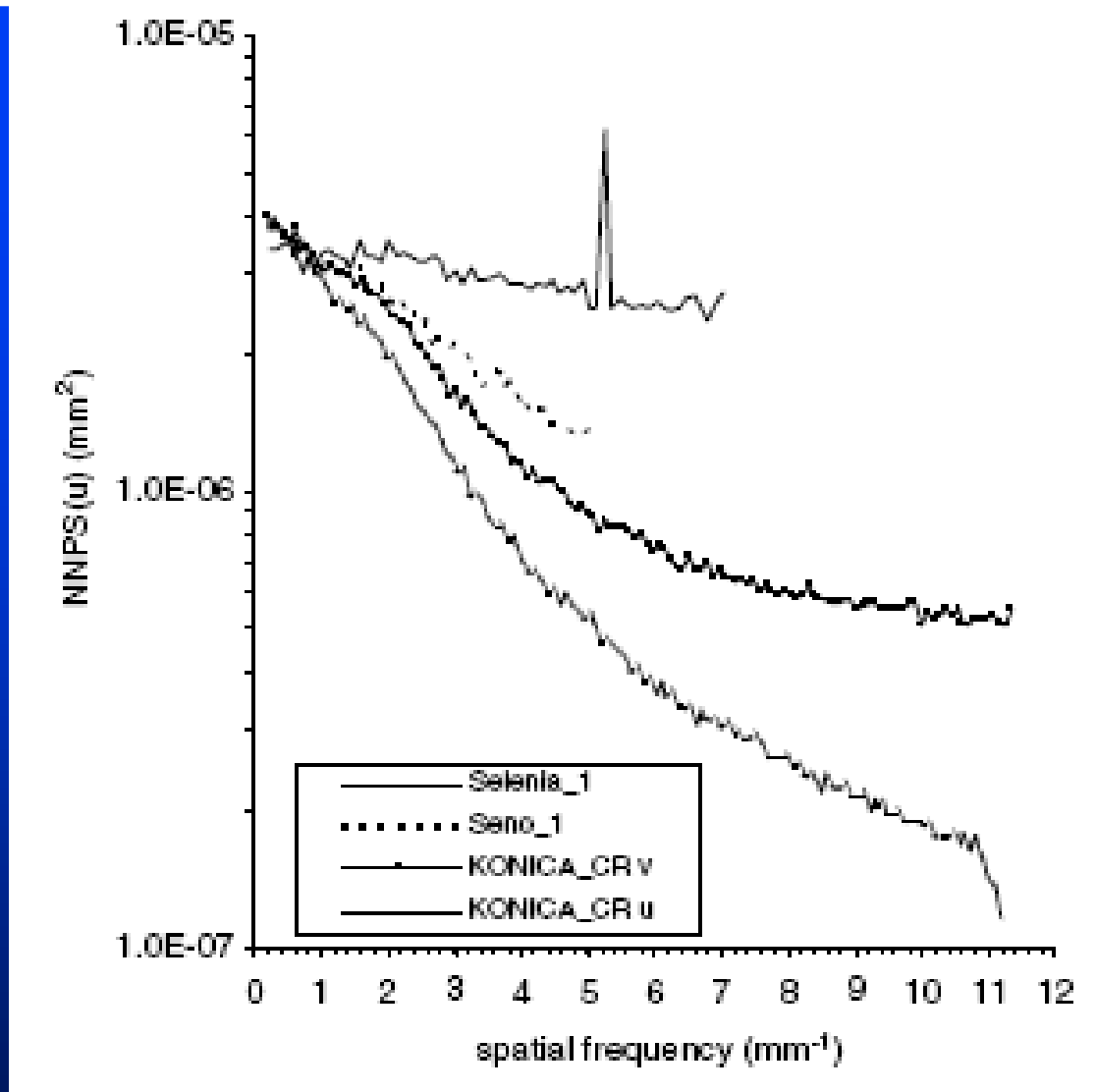
Adapted from Boedekker et al "Noise power spectra and noise equivalent quanta in modern diagnostic MDCT. Phys Med Biol 52, 4027-4046 (2007)



## 2D Noise Power Spectrum



From Boedekker et al "Noise power spectra and noise equivalent quanta in modern diagnostic MDCT. Phys Med Biol 52, 4027-4046 (2007)



From Marshall NW Early experience in the use of quantitative image quality measurements for the quality assurance of full field digital mammography x-ray systems, Phys Med Biol, 2007;52:5545-5568

# MEASUREMENT OF NPS

1. Acquire a uniform image (i.e. noise only)
2. Select a ROI in which to measure the NPS
3. Subtract the mean from the data in the ROI
4. Fourier transform this data.
5. NPS (frequency)  
=  $[(\text{Real part of FT})^2 + (\text{Imaginary part})^2] \div \text{Area of ROI}$

Area under the NPS = pixel variance

# NOISE POWER SPECTRUM

(1D version of equation)

$$W_N(\nu) = \lim_{X \rightarrow \infty} \frac{1}{X} \left\langle \left| \int_{-X/2}^{X/2} dx e^{-2\pi i x \nu} n(x) \right|^2 \right\rangle$$

Where  $n(x)$  is the noise at location  $x$

and  $X$  the distance over which it is measured

**HOW DO THEY INTERACT  
TO INFLUENCE THE  
DECISION MAKING  
PROCESS ?**