

CANNEX



Casimir And Non-Newtonian force EXperiment

A parallel plate approach to physics

Vienna

May 17, 2018

René Sedmik

Atominstitut, TU Vienna
previously: VU Amsterdam

Stay tuned on our website
cannex.vu.nl



partially crowd-funded via



and



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A parallel plate approach to vacuum energy

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Vacuum energy: The cosmological constant problem

Dark energy and the cosmological constant

$$R_{\mu\nu} - \left(\frac{1}{2}\mathcal{R} - \Lambda\right) g_{\mu\nu} = \frac{8\pi}{c^4} T_{\mu\nu}$$

Einstein 1918: Absence of gravitational collapse



Phenomenological cosmological constant Λ

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Hubble 1927: The universe expands



$\Lambda > 0$

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Today:

- Redshift of Type 1a supernovae
- Anisotropy of the cosmic microwave background
- Large scale distribution
- ...



Expansion is accelerating

$$\Lambda \approx 1.8 \times 10^{-52} \text{ m}^{-2}$$

$$\rho_{vac} \approx 10^{-29} \text{ g/cm}^3$$

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Quantum mechanics (field theory)

Zero point energies of the EM (and other) fields:

$$\rho_{ZPE} \propto \int_0^{\lambda_c} dk k^3 = \lambda_c^4 \rightarrow \infty$$

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$$\lambda_c \rightarrow 2\pi/\ell_P$$



$$\rho_{ZPE} \approx 10^{95} \text{ g/cm}^3$$

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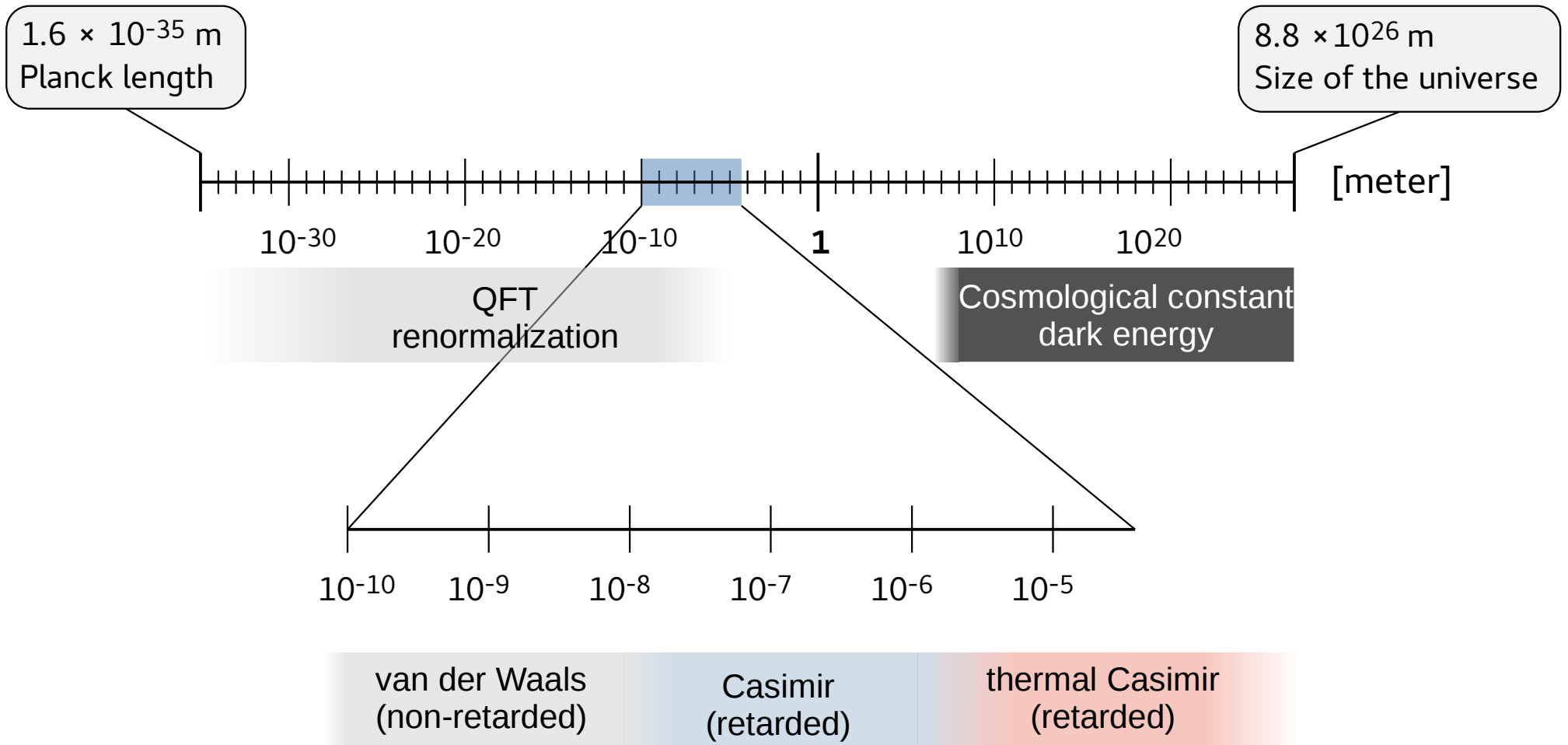
>120 orders of magnitude off

'worst prediction in the history of physics'

cosmological constant problem

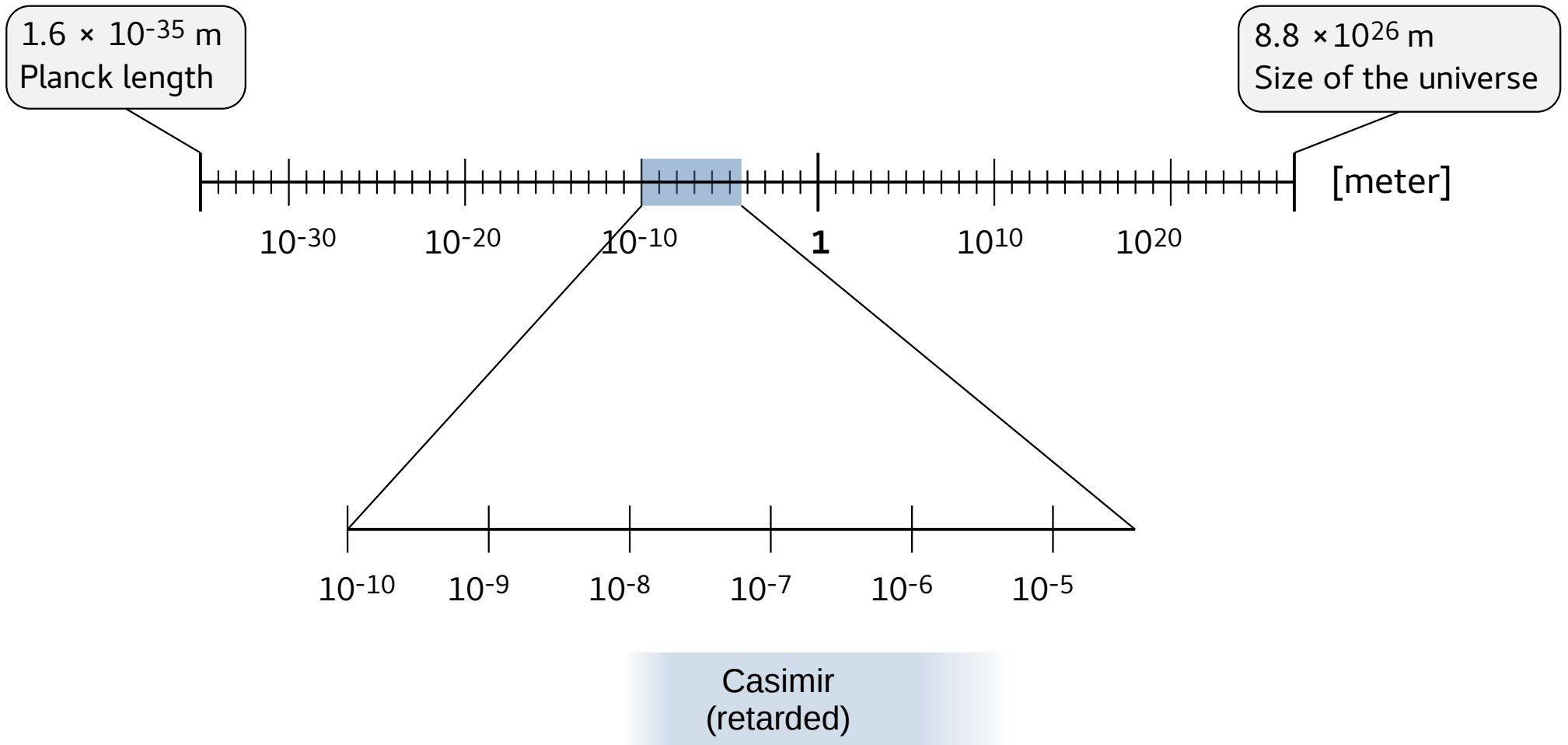
Vacuum energy at different scales

Scale of the universe:



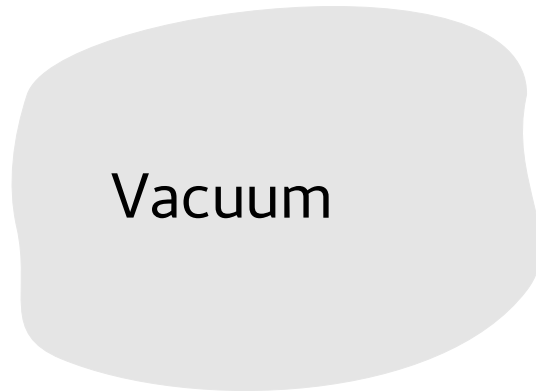
Small surface separations: Casimir effect

Scale of the universe:

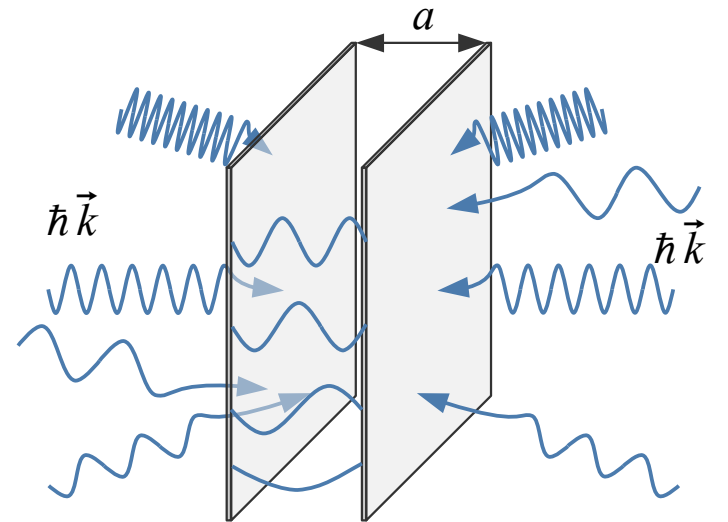


The Casimir effect in a nutshell

Intuitive:



continuous spectrum



discrete spectrum



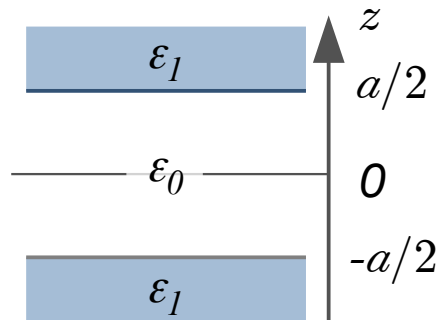
Energy: $E_{vac} = \infty$

$E_{||} = \infty$

Difference: $E_{||} - E_{vac} < 0$ finite

The Casimir effect in a nutshell

Reality (simplest possible case):



- materials with dielectric functions $\varepsilon_r(\omega)$
- extrapolate to zero frequency

$$\varepsilon_r(\omega) = \varepsilon_0 - \frac{\omega_p^2}{\omega^2 + i\gamma\omega}$$

- need to Wick-rotate by using the Kramers-Kronig relation

$$\varepsilon(i\xi) = 1 + \frac{2}{\pi} \int_0^\infty d\omega \frac{\omega \text{Im}\varepsilon_r(\omega)}{\omega^2 + \xi^2}$$

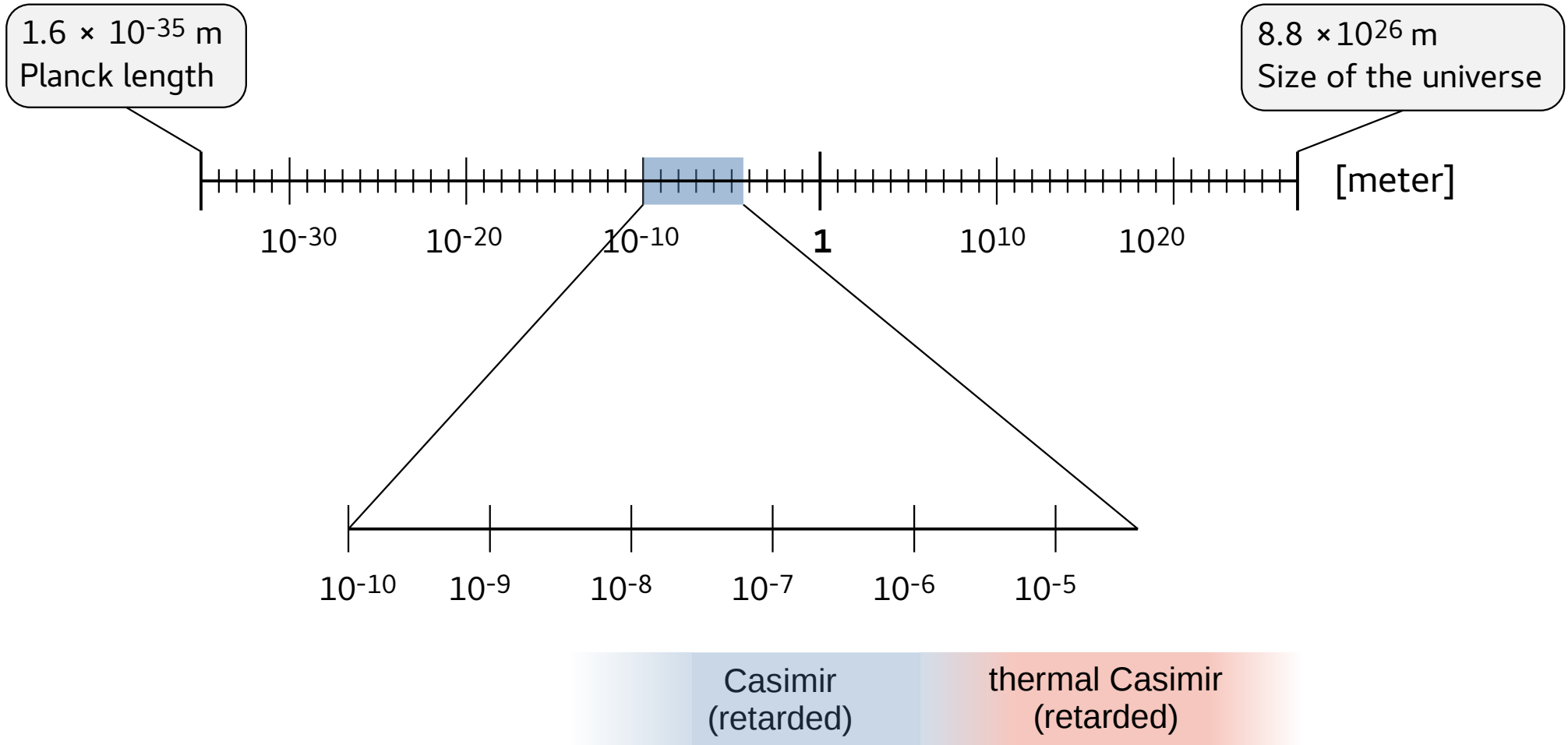
- Compute the energy (force): Lifshitz equation

$$\frac{E_{||}(a)}{A} = \frac{\hbar}{(2\pi)^2 c^2} \int_1^\infty dp \int_0^\infty d\xi p \xi^2 \left[\ln \frac{\Delta_\perp(i\xi, a)}{\Delta_{\perp, \infty}(i\xi)} + \ln \frac{\Delta_{||}(i\xi, a)}{\Delta_{||, \infty}(i\xi)} \right], \quad F(a) = -\frac{\partial E_{||}(a)}{\partial a}$$

$$\frac{\Delta_\perp(p, i\xi, a)}{\Delta_{\perp, \infty}(p, i\xi)} = 1 - \left(\frac{K_1 \varepsilon_0(i\xi) - K_0 \varepsilon_1(i\xi)}{K_1 \varepsilon_0(i\xi) + K_0 \varepsilon_1(i\xi)} \right)^2 e^{-2a \frac{\xi}{c} K_0}, \quad K_j(p, i\xi) = \sqrt{p^2 - 1 + \varepsilon_j(i\xi)}$$

Large surface separations: Thermal Casimir effect

Scale of the universe:



More fundamental: The nature of virtual photons

Dissipation at zero frequency or not? Drude vs. plasma debate

$$\begin{array}{l} \text{Drude} \\ \varepsilon_r(\omega) = \varepsilon_0 - \frac{\omega_p^2}{\omega^2 + i\gamma\omega} \end{array} \quad \begin{array}{l} \text{plasma} \\ \varepsilon_r(\omega) = \varepsilon_0 - \frac{\omega_p^2}{\omega^2} \end{array} \quad \begin{array}{l} \omega_p \text{ plasma frequency} \\ \gamma \text{ relaxation frequency} \\ \text{(dissipation)} \end{array}$$

- Recent data suggests:
- No dissipation for virtual photons (short distance)!
Bimonte et al, Phys. Rev. B 93, 184434 (2016)
 - Situation at large distance ($\gtrsim 2 \mu\text{m}$) unclear

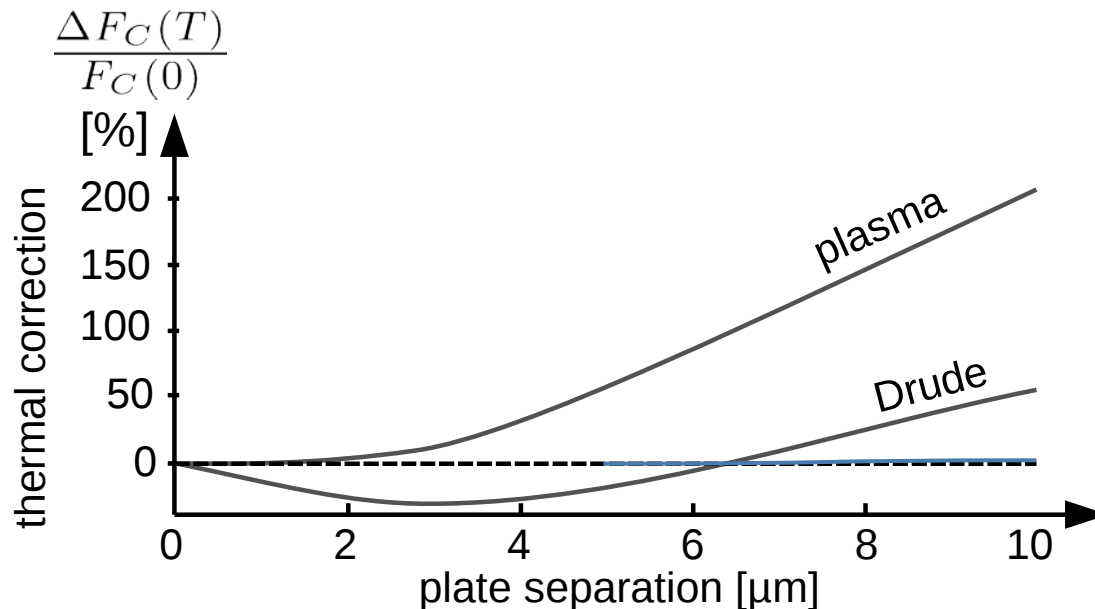
More fundamental: The nature of virtual photons

Dissipation at zero frequency or not? Drude vs. plasma debate

<p>Drude</p> $\epsilon_r(\omega) = \epsilon_0 - \frac{\omega_p^2}{\omega^2 + i\gamma\omega}$	<p>plasma</p> $\epsilon_r(\omega) = \epsilon_0 - \frac{\omega_p^2}{\omega^2}$	<p>ω_p plasma frequency γ relaxation frequency (dissipation)</p>
--	---	---

- Recent data suggests:
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 - Situation at large distance ($\gtrsim 2 \mu\text{m}$) unclear

What is different at larger separation?



At $d > 10 \mu\text{m}$
 less than 10^{-7} N/m^2

Only possible with parallel plates.

M.. Bordag et al "Advances in the Casimir effect", *Oxford Science Publications*, (2009).

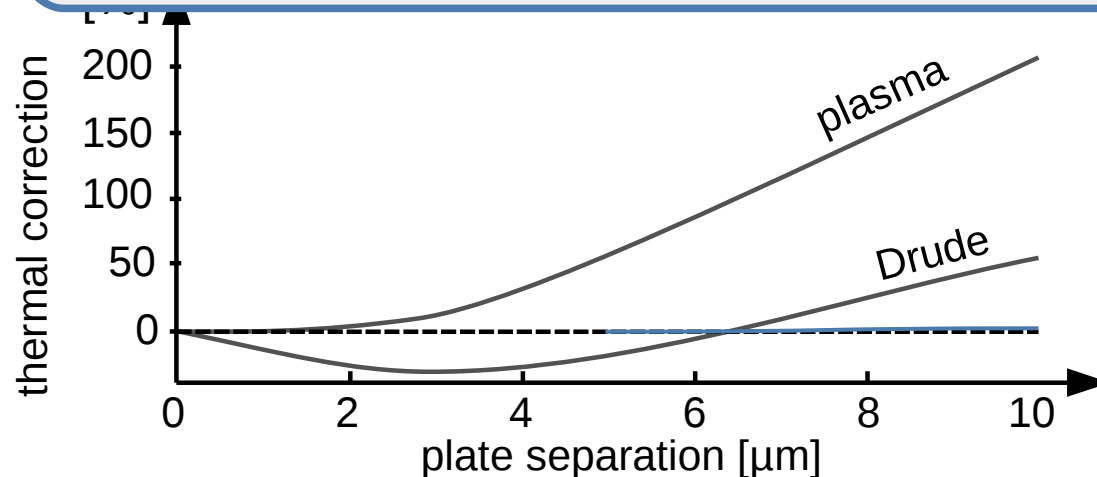
Review: Klimchitskaya et al, *Int. J. Mod. Phys. Conf. Ser.* **3**(2011), 515

More fundamental: The nature of virtual photons

Dissipation at zero frequency or not? Drude vs. plasma debate

CANNEX Task List:

1. Force/Gradient measurements at separation $>6 \mu\text{m}$, vacuum, accuracy $\sim 1\text{pN}/0.1 \mu\text{N}/\text{m}$



At $d > 10 \mu\text{m}$
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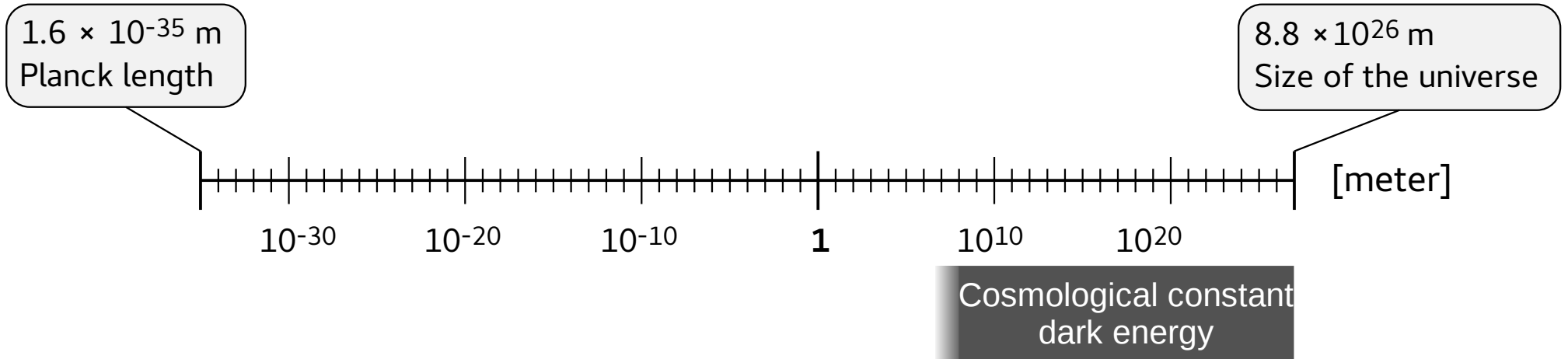
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Very large scales: 1 AE to the size of the universe

Scale of the universe:



Very large scales: 1 AE to the size of the universe

dark matter

indication: grav. pull
theory: unknown
contents: unknown
part: 27%



visible universe

indication: em radiation, gravity
theory: \mathcal{L}_{SM}
contents: particles of the SM
part: 5%

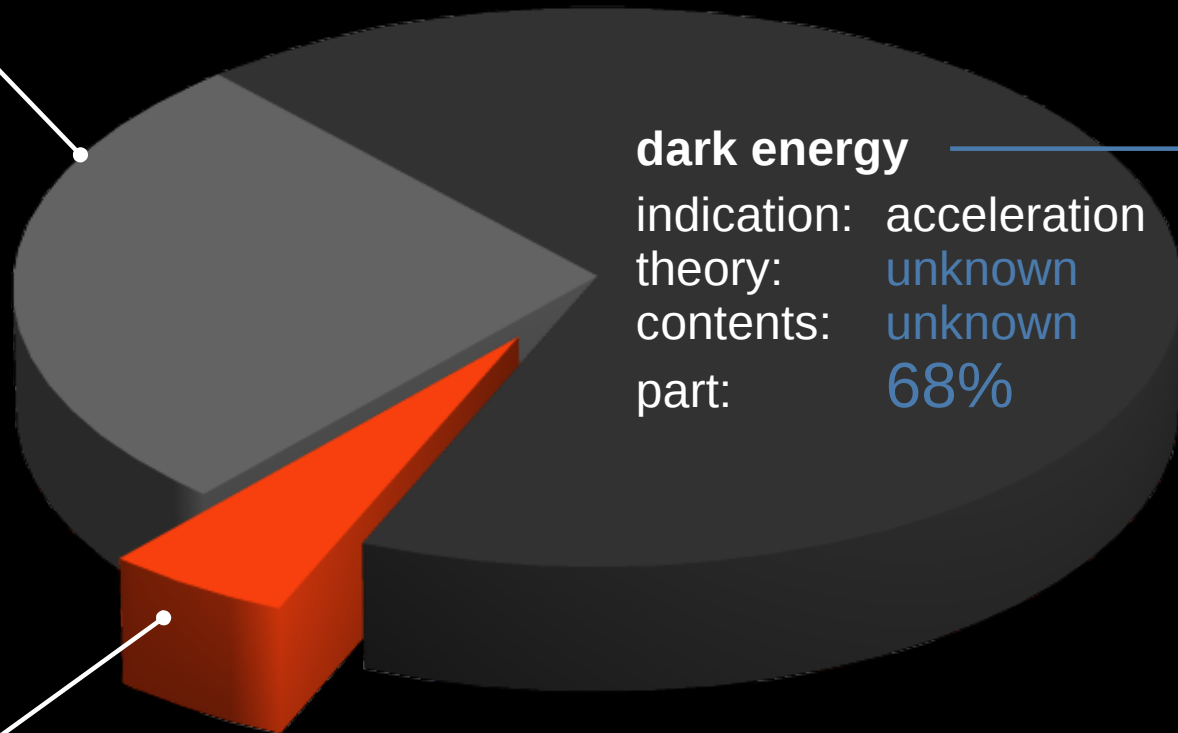
dark energy

indication: acceleration
theory: unknown
contents: unknown
part: 68%

proposition:

add a new scalar
particle with Yukawa couplings

J. Khoury and A. Weltman,
Phys. Rev. Lett. **93** (2004) 171104



New dynamics:

$$\mathcal{L}_\phi = \sqrt{-g} \left[\mathcal{R} \frac{M_{Pl}^2}{2} - \frac{(\partial\phi)^2}{2} - V(\phi) \right]$$

Yukawa couplings:

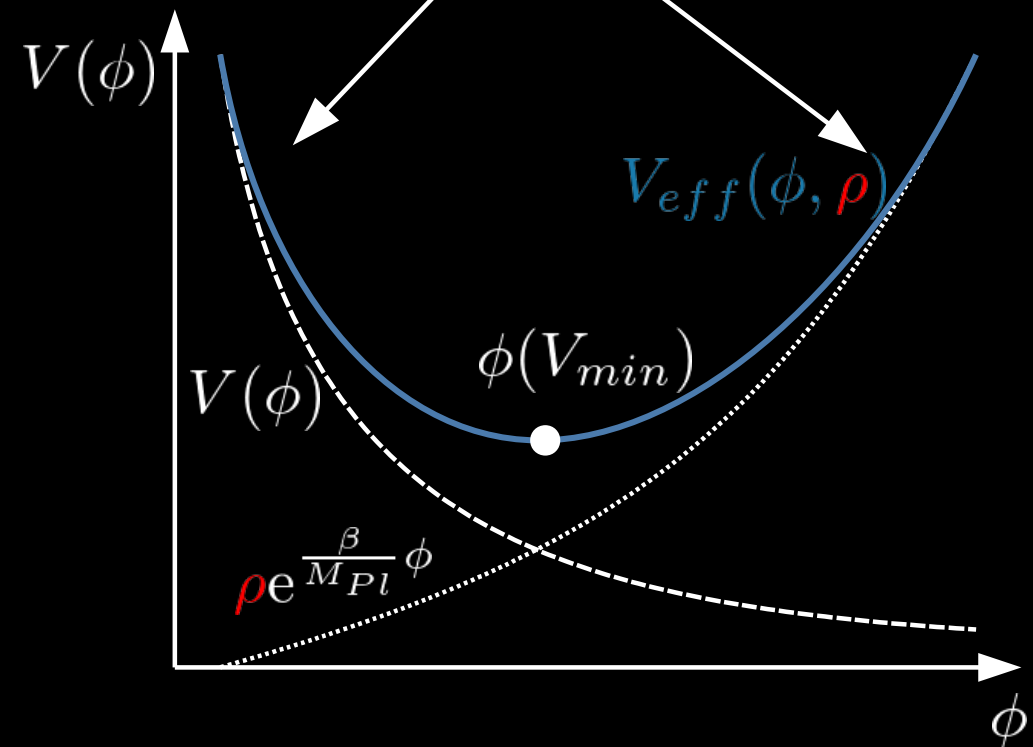
$$\mathcal{L}_{EM} = \frac{-e \frac{\beta_\gamma}{M_{Pl}} \phi}{4} F_{\mu\nu} F^{\mu\nu}$$

Result 1 : effective potential

$$V_{eff} = V(\phi) + \rho e^{\frac{\beta}{M_{Pl}} \phi}$$

'quintessence'
runaway potential

Yukawa
coupling



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Result 2: 'Newtonian' potential:

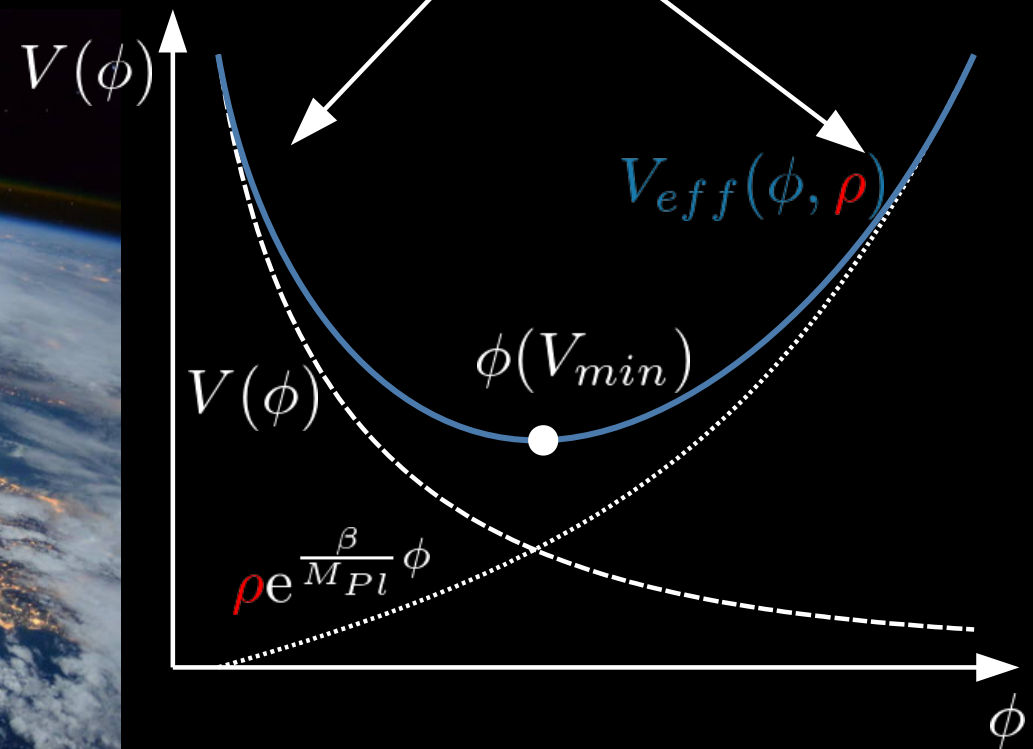
$$V(r) \propto \beta \frac{M}{M_{Pl}} \frac{e^{-\sqrt{\partial V_{eff}(\rho)/\partial\phi^2} r}}{r}$$

$\rho \ll 1 \Rightarrow$ strong interaction

$$V_{eff} = V(\phi) + \rho e^{\frac{\beta}{M_{Pl}}\phi}$$

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New dynamics:

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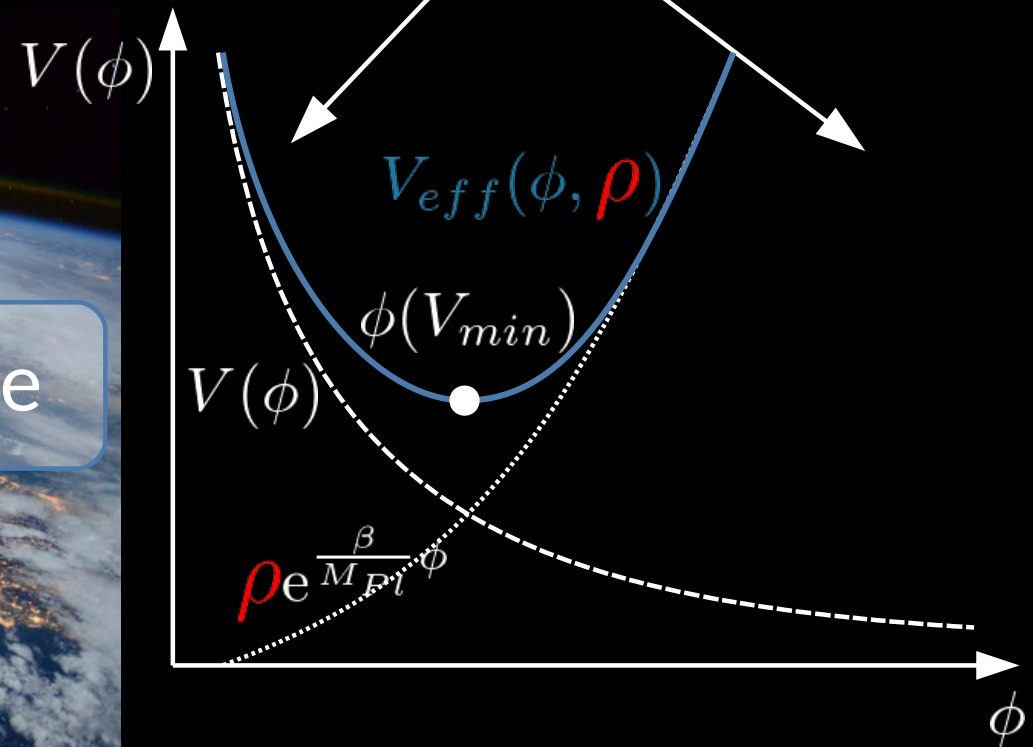
Result 2: 'Newtonian' potential:

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$$V_{eff} = V(\phi) + \rho e^{\frac{\beta}{M_{Pl}}\phi}$$

'quintessence'
runaway potential

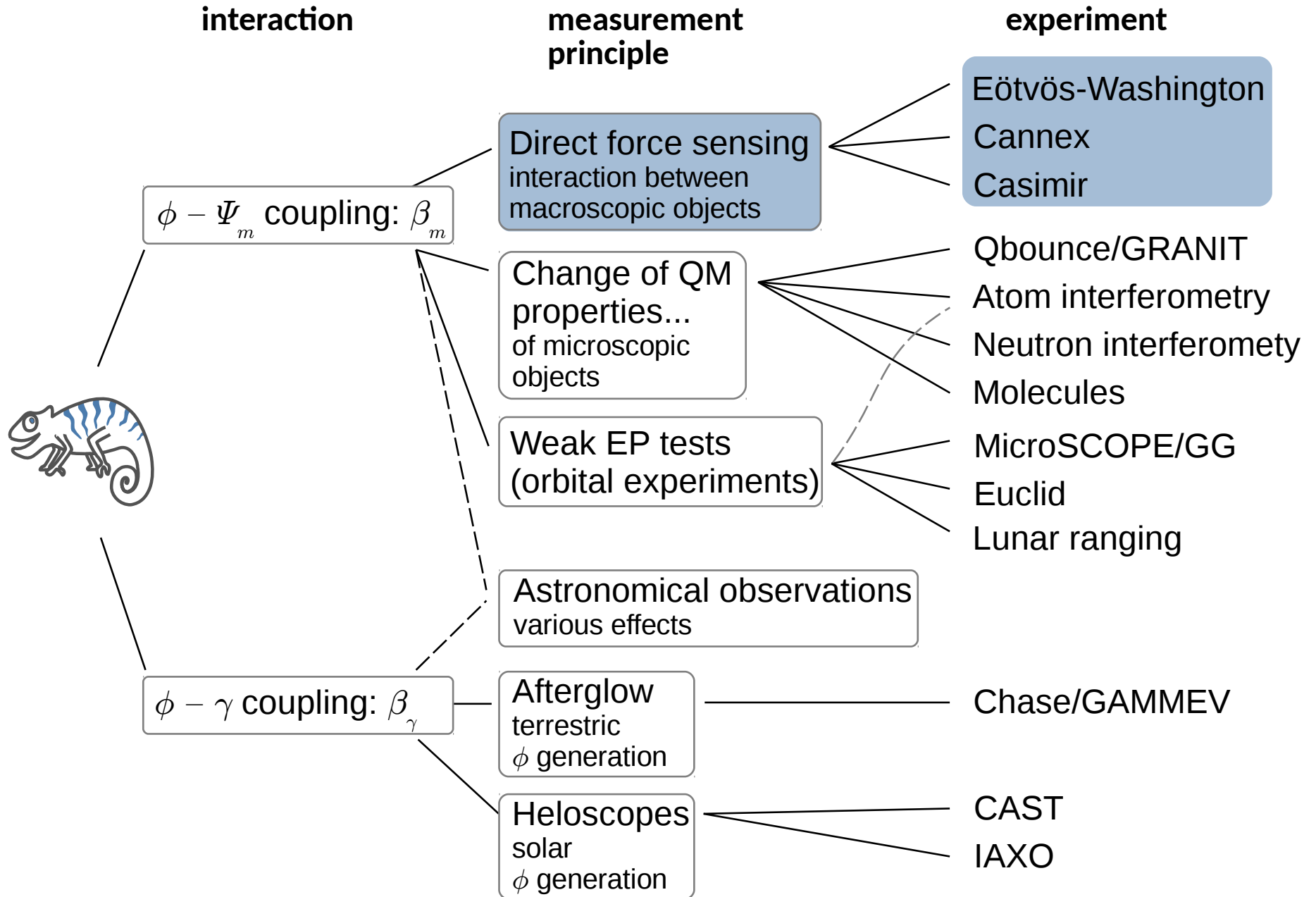
Yukawa
coupling



Adaptivity: Chameleon force

$\rho > 1 \Rightarrow$ screened interaction

Prospects for chameleon detection



Our approach

Principle:

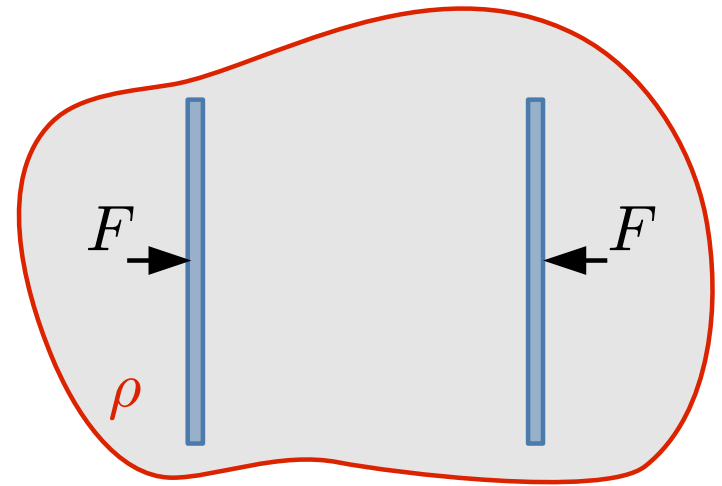
Measure at **constant plate separation**

the change in the force for **different gas density ρ**

Brax, van de Bruck, Davis, Shaw, Iannuzzi,
PRL. **104**, 241101(2010)

$$F(\rho) = F_{ES} + F_C + F_G$$

$$\Delta F(\rho) = F(\rho) - F(0)$$

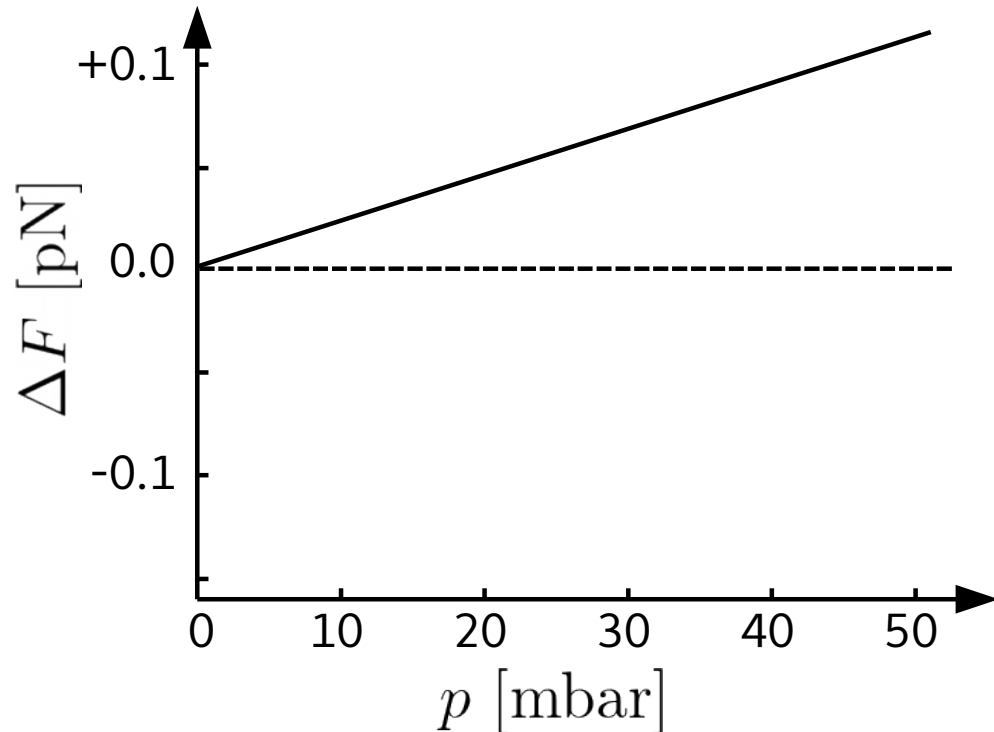


Assumptions:

- Xe gas
- plate area 1 cm²

- $V(\phi) = \Lambda^4 \left(1 + \frac{\Lambda^n}{\phi^n} \right)$

- $\Lambda = 2.4$ meV



Our approach

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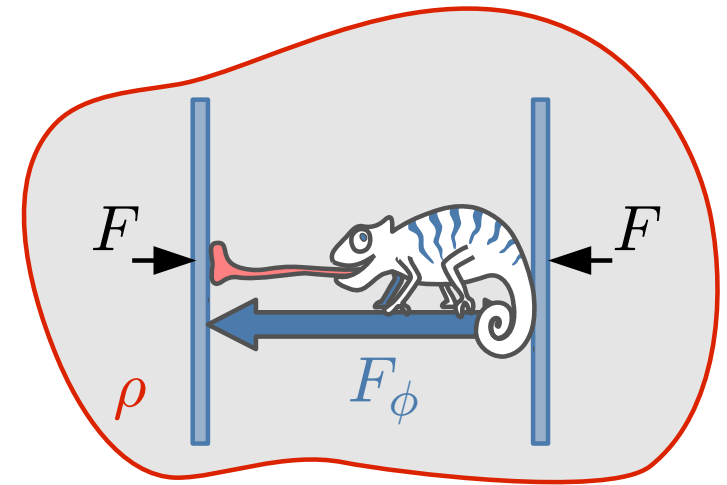
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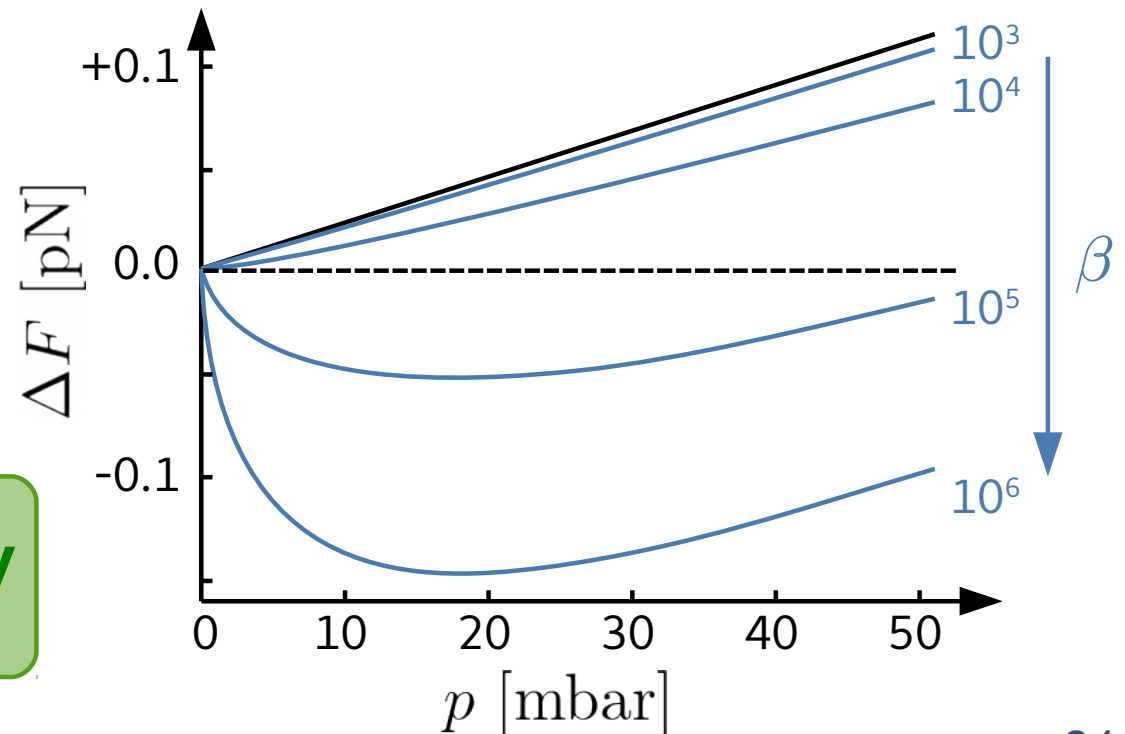
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✓ high sensitivity



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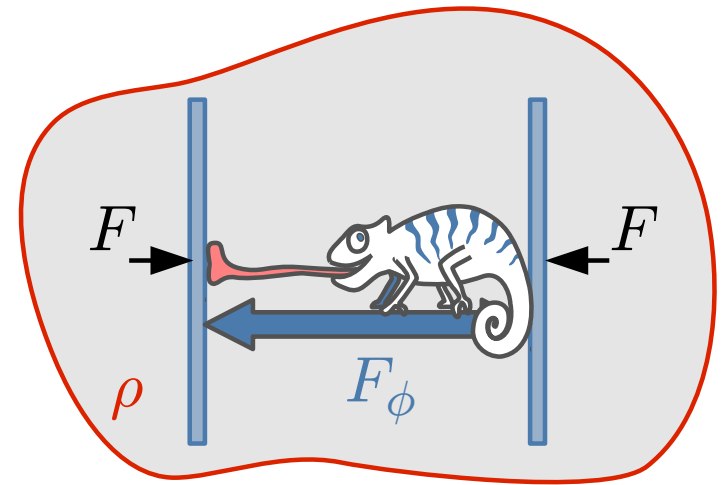
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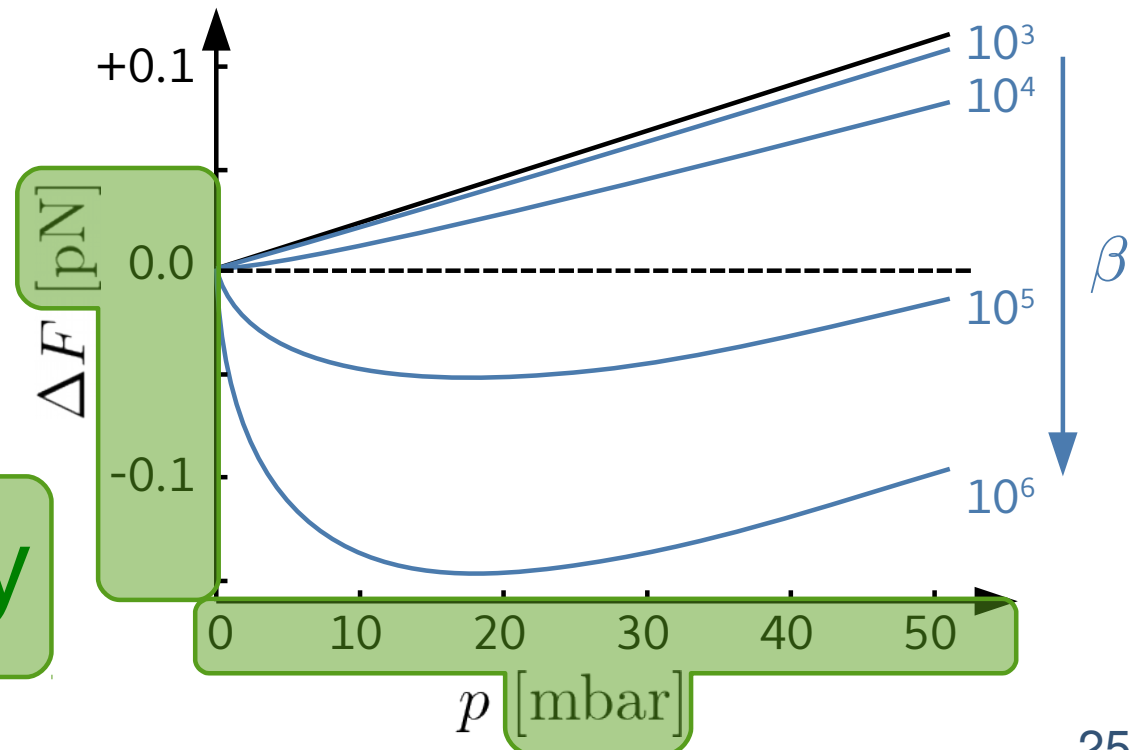
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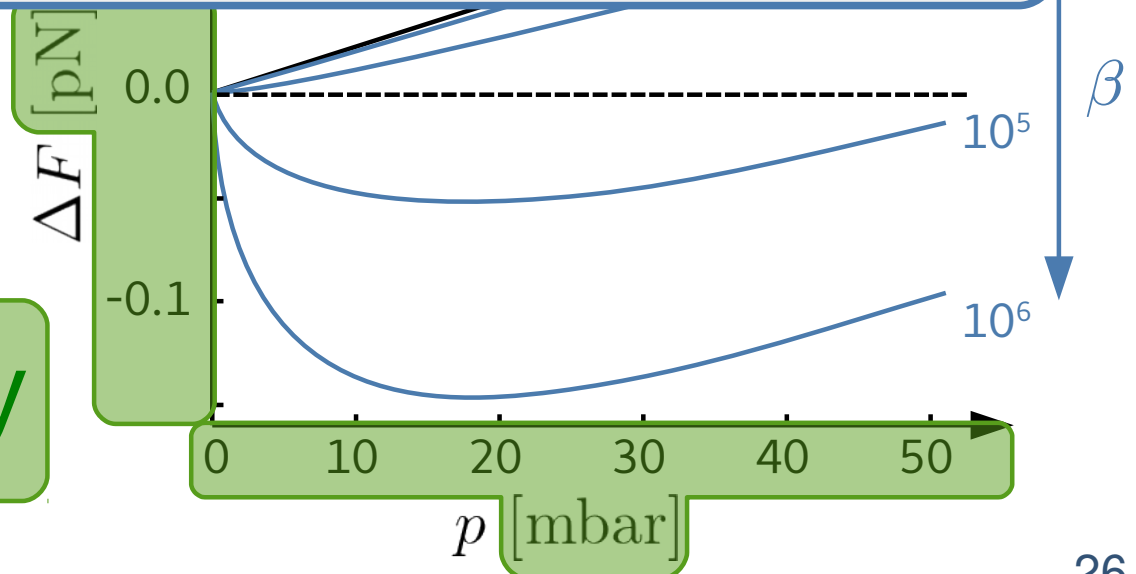
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2. Force measurements at constant separation, modulated gas density, precision $<0.1 \text{pN}$

- plate area 1cm^2

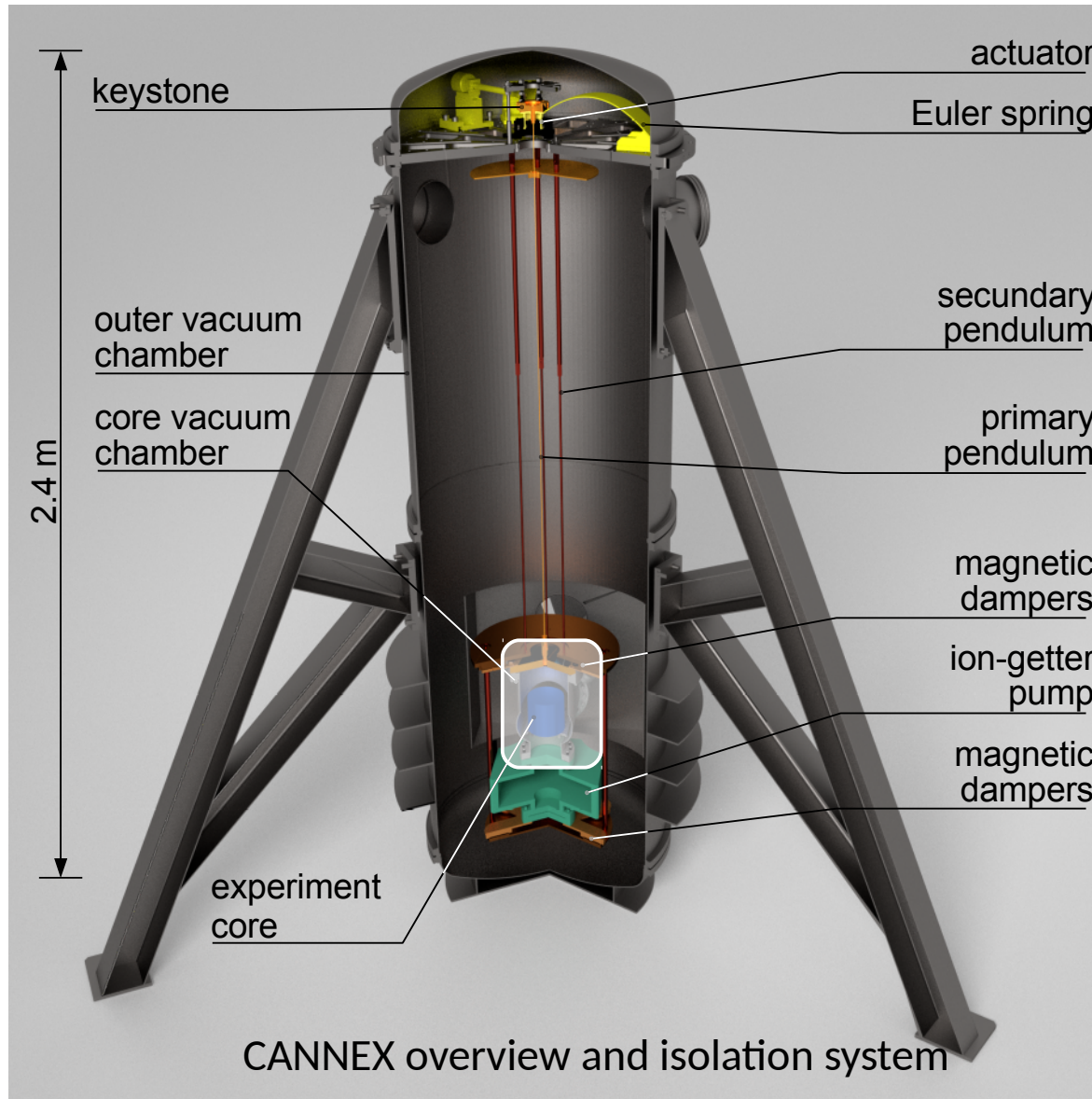
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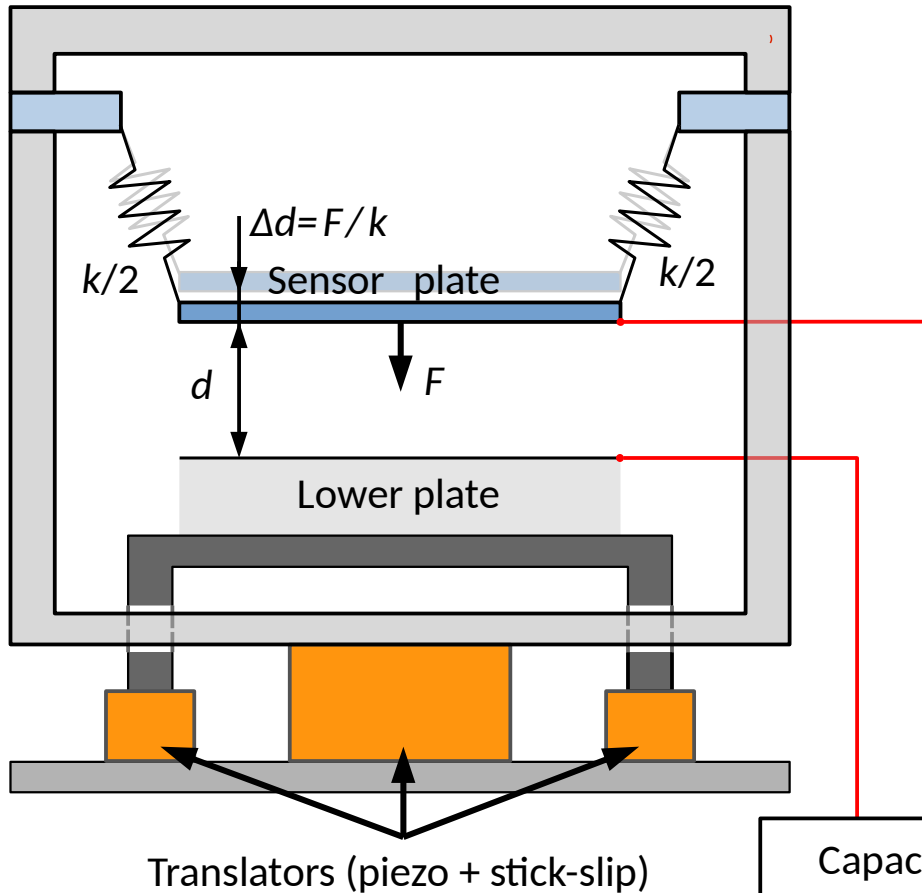
Setup (located at VU Amsterdam)



Force detection (one year ago)

Principle:

Measure capacitively the displacement of a spring.



Capacity measurement
 $\Delta C \propto F$

Implementation: upper plate (sensor)



Custom-fabricated Silicon membrane

Force constant: 0.22 ± 0.02 N/m

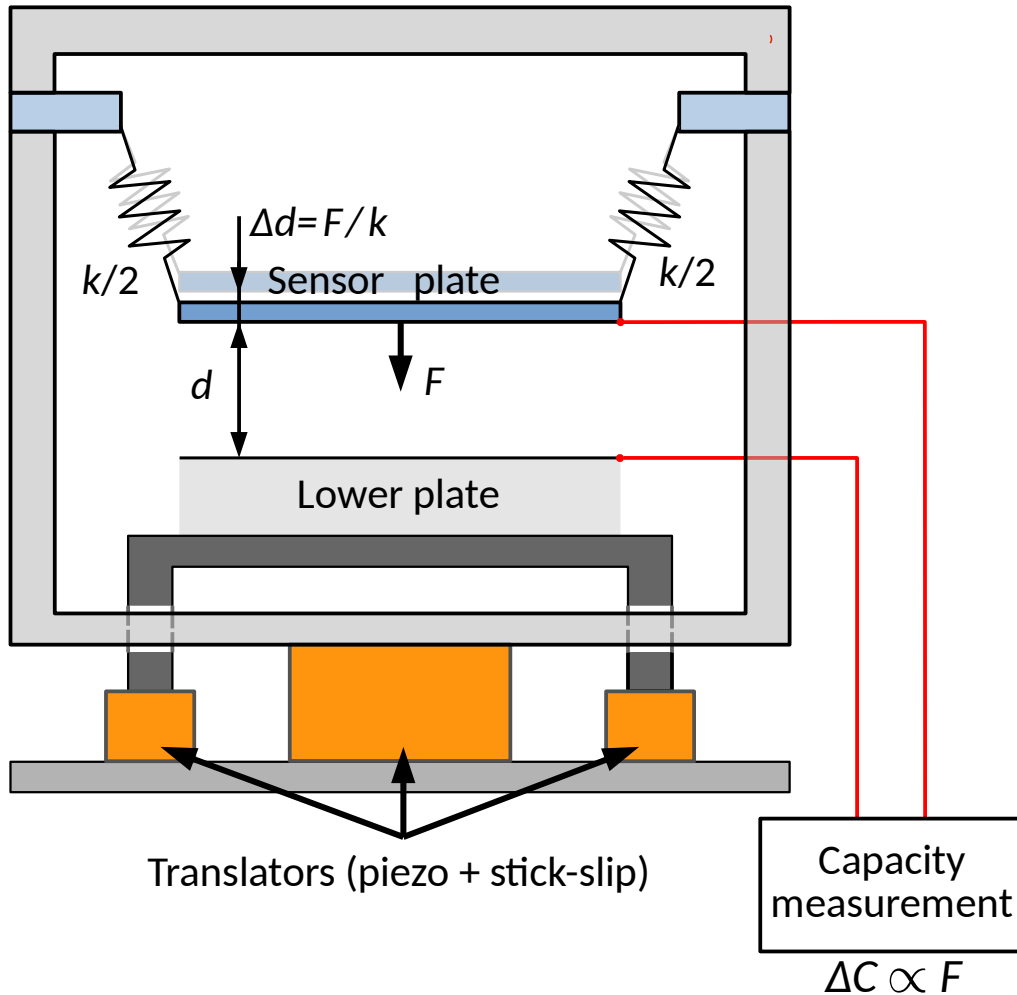
Disk area: 1.0834 ± 0.0005 cm²

Waviness(disk) < 15 nm (whole area)

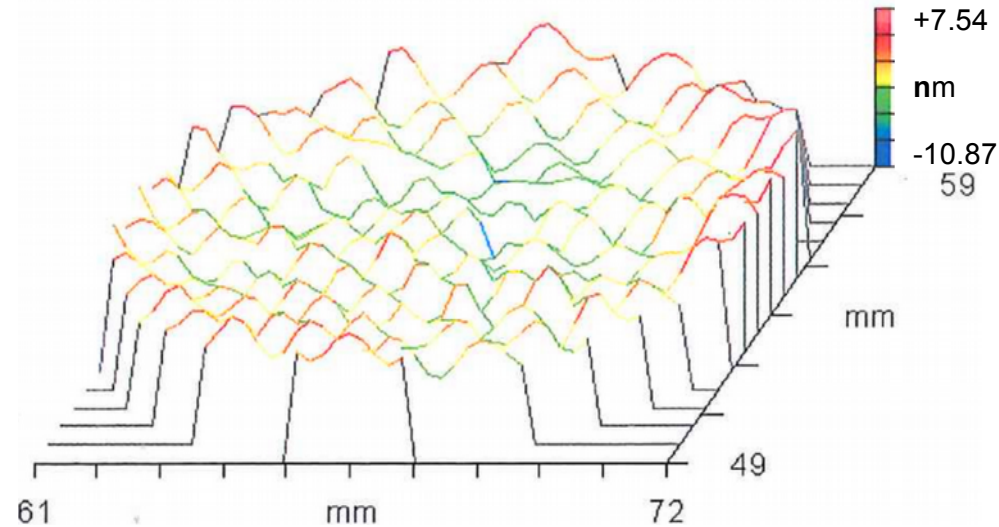
Force detection

Principle:

Measure optically the displacement of a spring.



Implementation lower plate:

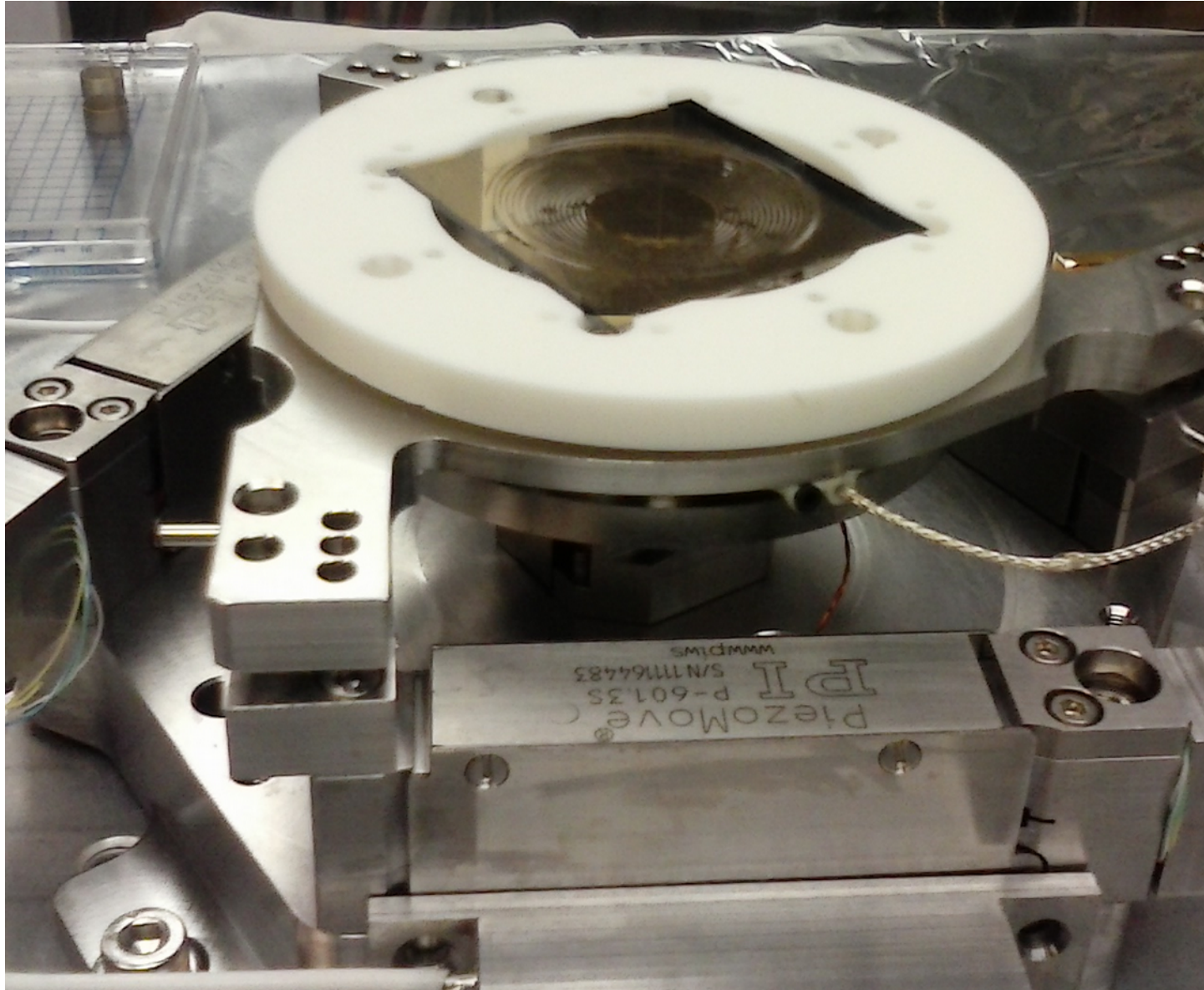


Custom-fabricated SiO_2 disk

Thickness	6 mm
Disk area	1 cm^2
Waviness(disk)	$< 18 \text{ nm}$ (whole area)

Force detection

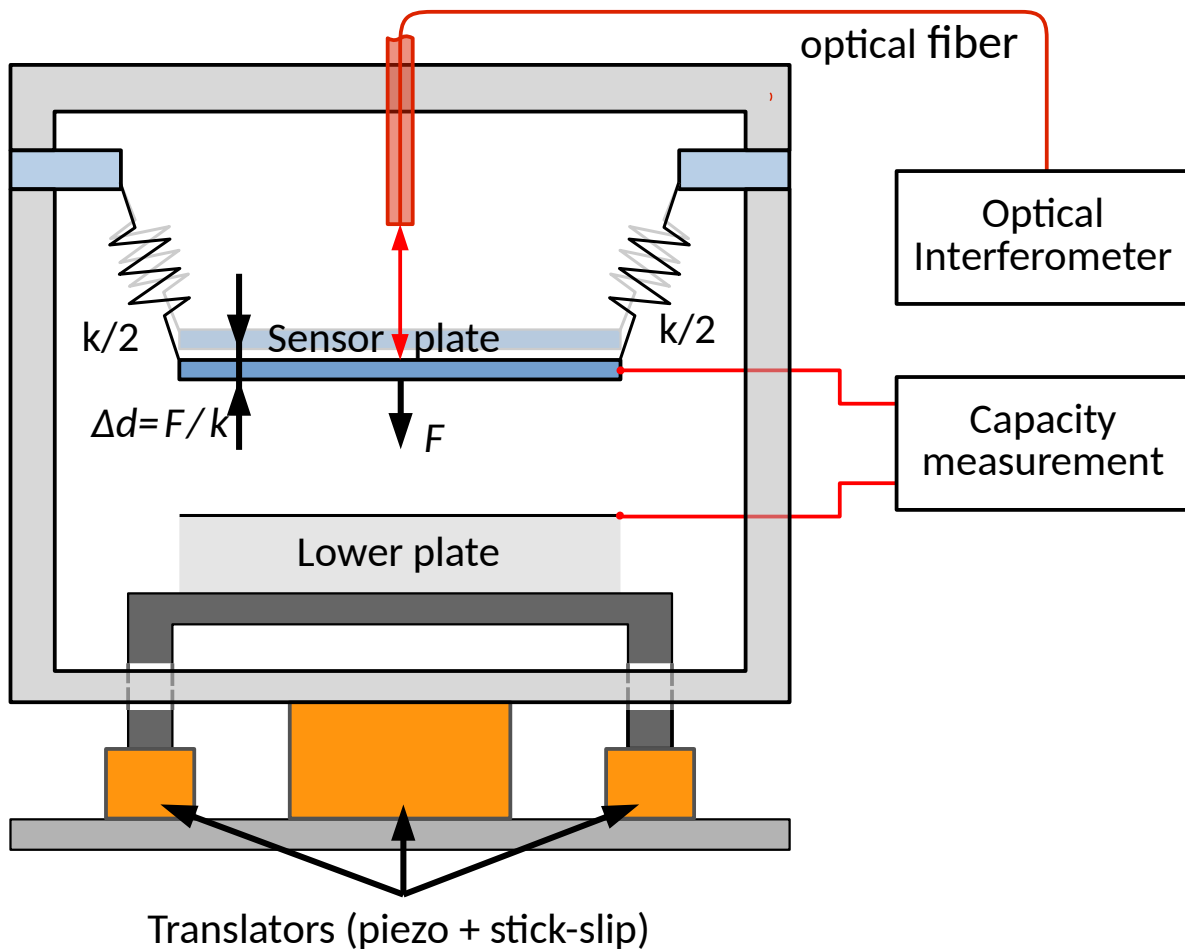
Implementation: core



Force detection

Principle:

Measure ~~capacitively~~ ^{optically} the displacement of a spring.



Casimir:

resonance frequency shift

$$\omega_0 = \sqrt{\frac{k}{m} - \frac{1}{m} \frac{\partial F(d)}{\partial d}}$$

Chameleon:

adiabatic pressure modulation

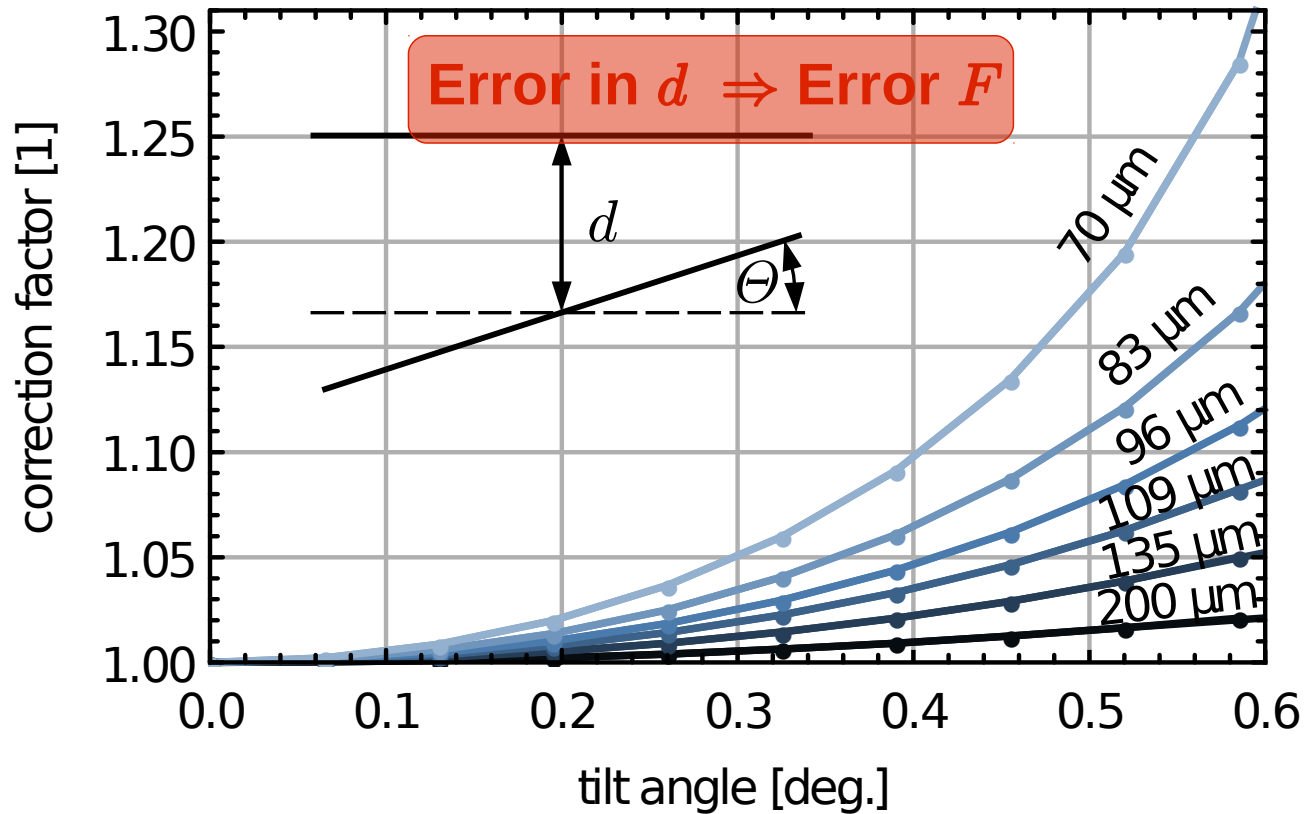
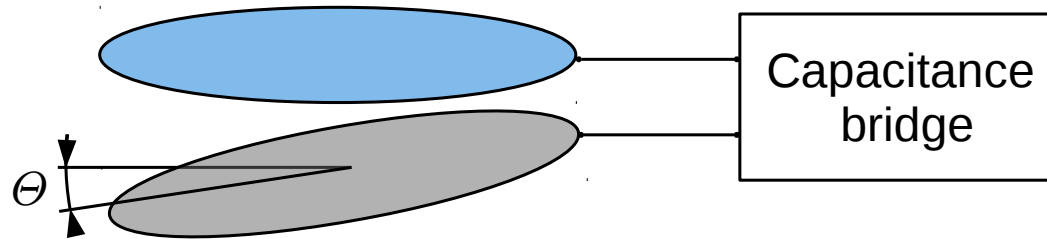
$$\Delta F_\phi \approx \frac{\partial F_\phi(p)}{\partial p} \Delta p$$

Homodyne detection

→ Able to measure below the thermal noise level

Parallelism: Importance

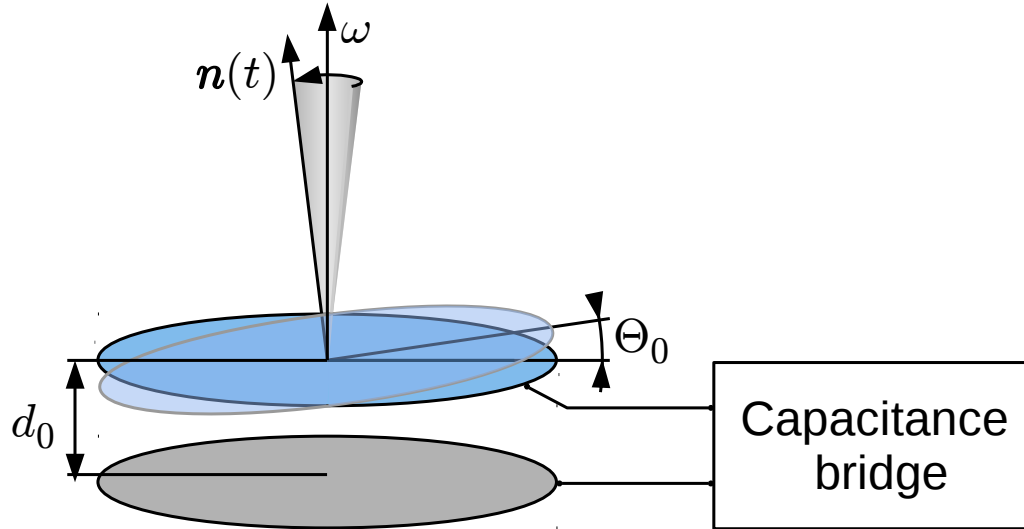
parallel plates with small tilt Θ



Target 0.1 pN: max deviation 0.1 μrad

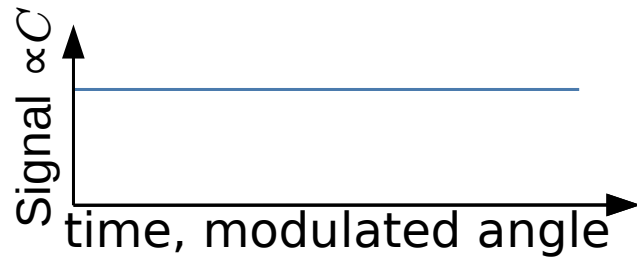
Parallelism control: Principle

assume: **parallel plates**



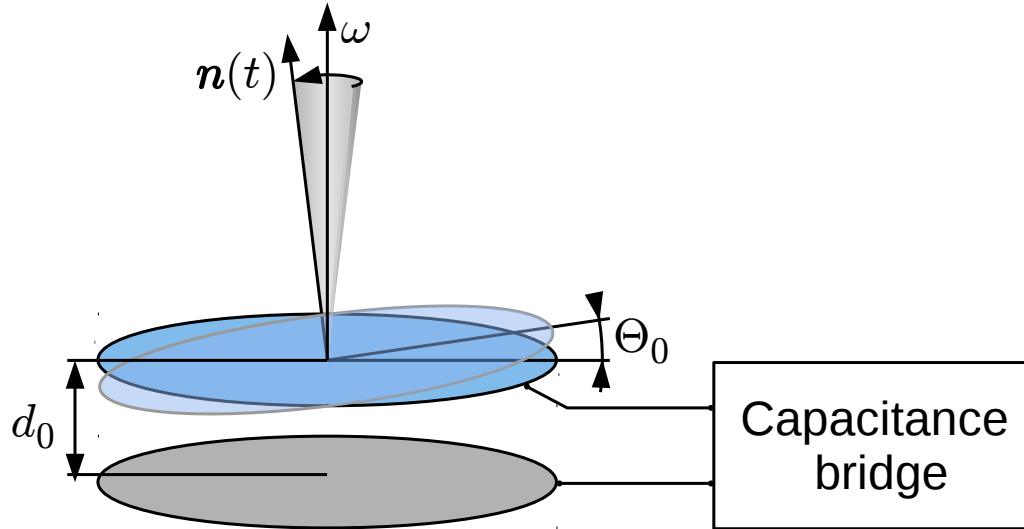
$$\Theta(t) = \Theta_0 = \text{const.}$$

$$C(t) = \varepsilon_0 \frac{R^2 \pi}{d} \left[1 + \left(\frac{R}{2d} \Theta(t) \right)^2 \right] + \mathcal{O}(\Theta(t)^4)$$

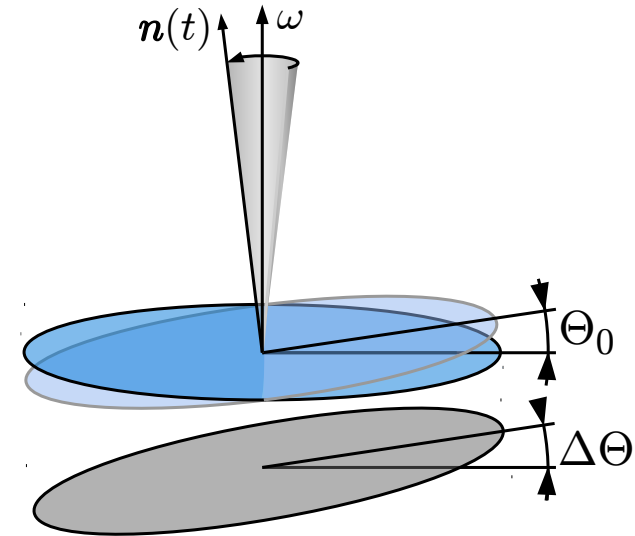


Parallelism control: Principle

assume: parallel plates

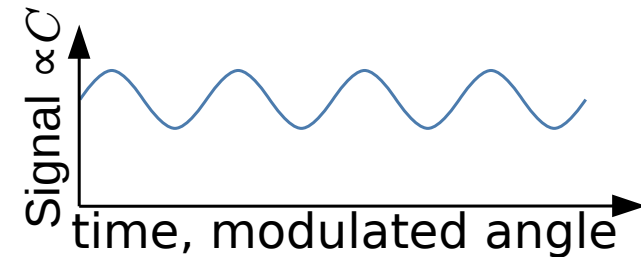
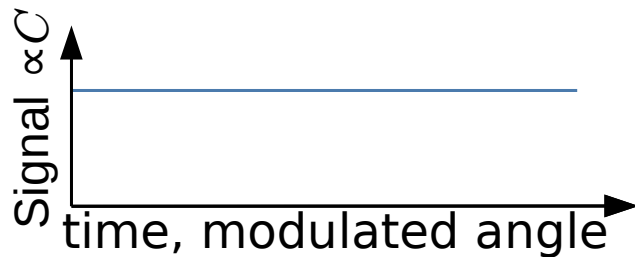


plates with relative tilt $\Delta\Theta$



$$\Theta(t) = \Theta_0 = \text{const.}$$

$$C(t) = \varepsilon_0 \frac{R^2 \pi}{d} \left[1 + \left(\frac{R}{2d} \Theta(t) \right)^2 \right] + \mathcal{O}(\Theta(t)^4) \quad C(t) \approx \varepsilon_0 \frac{R^2 \pi}{d} \left(1 + \left(\frac{R}{2d} \right)^2 \left(\Theta^2 + \Delta\Theta^2 + 2\Theta\Delta\Theta \cos \omega t \right) \right)$$



Idea: Use feedback circuit to compensate $\Delta\Theta$

Parallelism control: Performance

Proof of principle/preliminary results

Step response

under very bad conditions

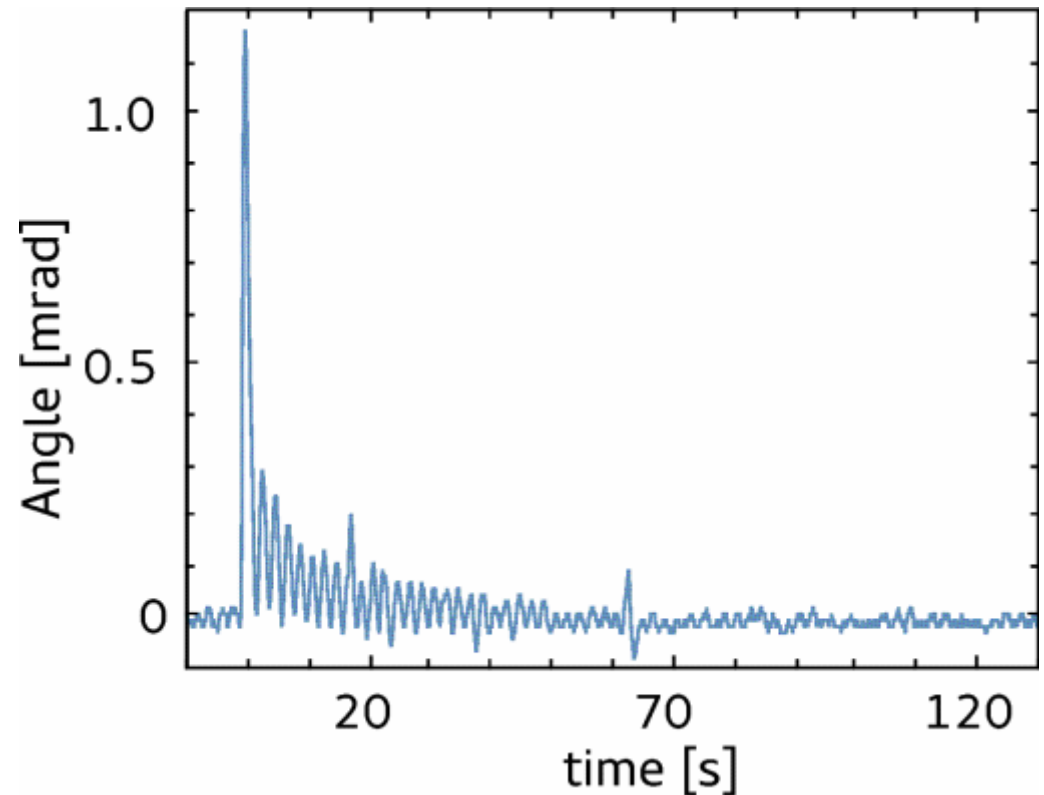
- First test
 - in air
 - without anti-vibration
 - with thick testing plates
- 6 μm single-sided step
- nominal distance 90 μm

Long-term stability

- Same conditions
- **3 μrad (RMS)**

Target

- Assumptions: vacuum, anti-vibration
- **0.1 μrad (~1 nm total tilt)**

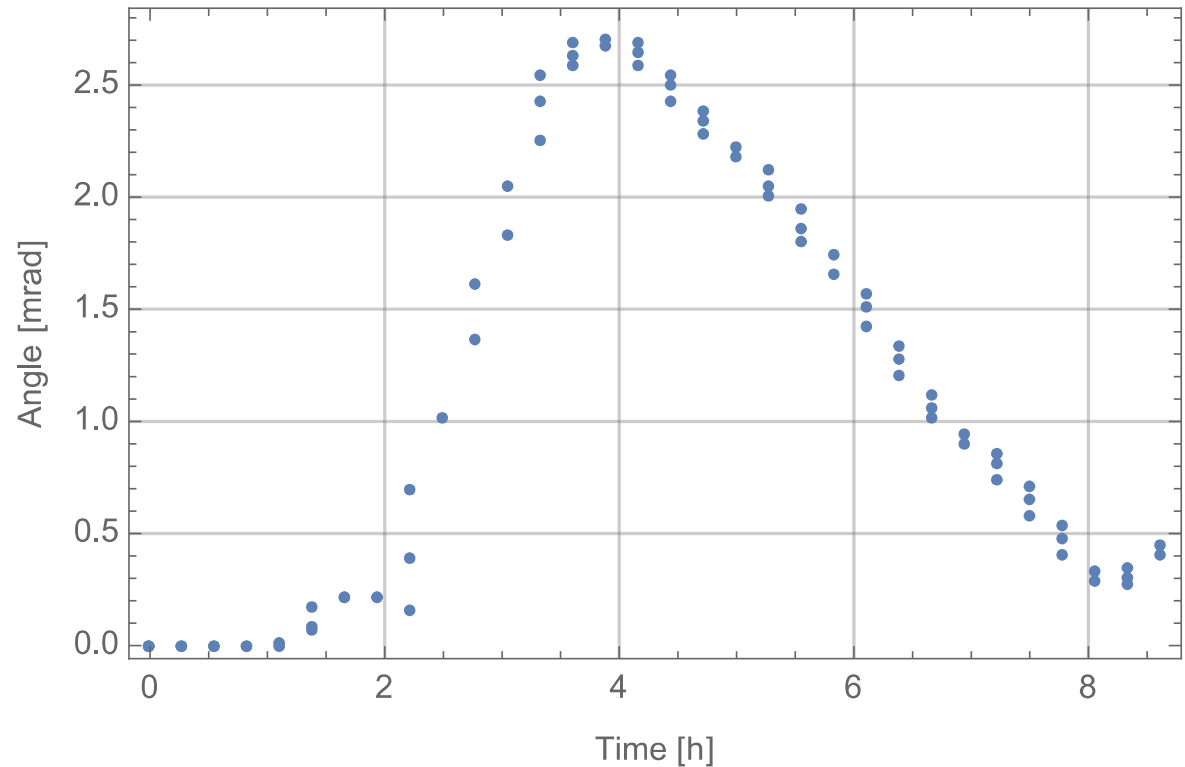


Parallelism control: Performance

Proof of principle/preliminary results

Practical operation

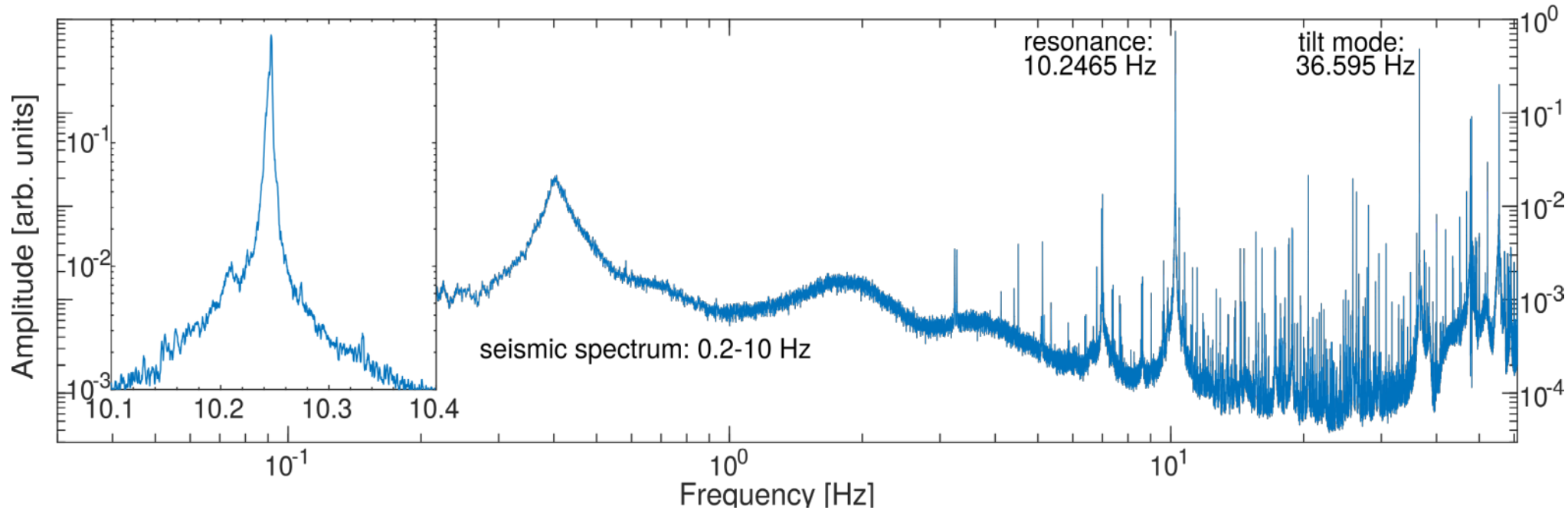
- Works as expected
- **currently**
~200 μrad long term



Limiting factor: Vibrations, Drift

Force detection

Sensor characterization: noise spectrum



Custom-fabricated Silicon membrane

Force constant: 0.22 ± 0.02 N/m

Eigenfrequency: 10.2465 Hz \pm 0.1 mHz

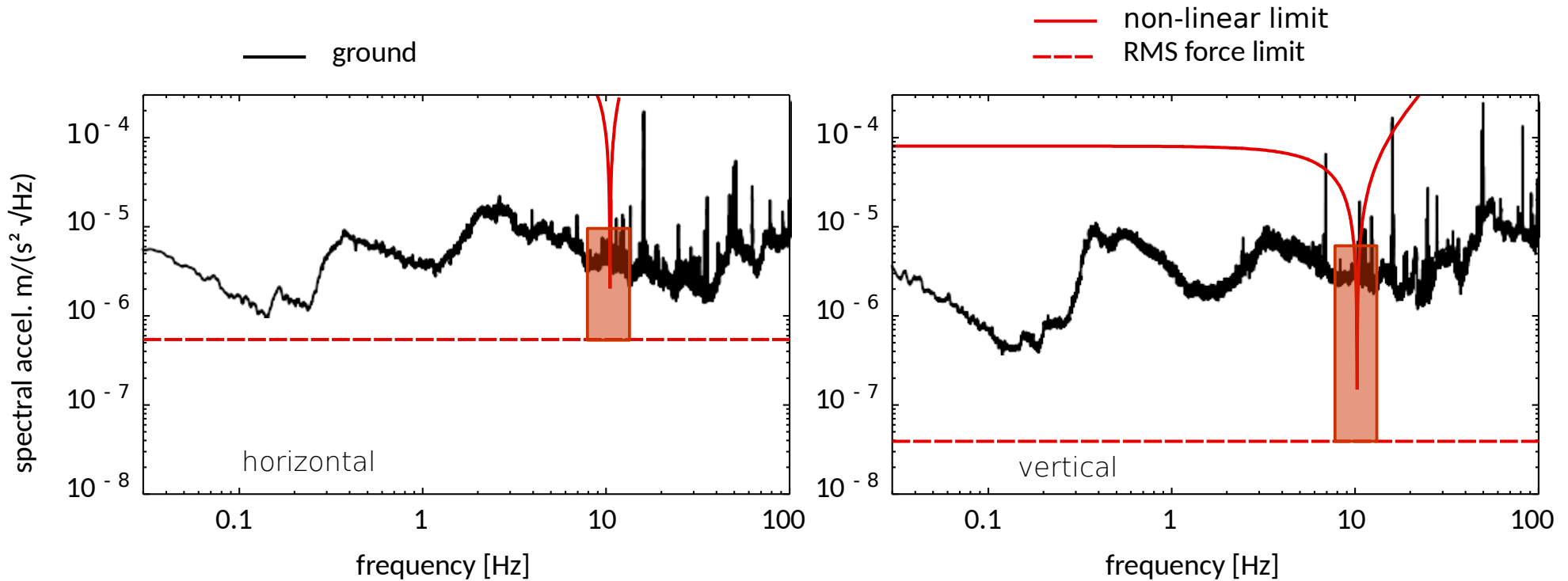
Q-factor: 5 k—15 k

Disk area: 1.0834 ± 0.0005 cm²

Waviness(disk) < 15 nm (whole area)

Vibrations 1: The background

Noise levels and limits:



2 limits:

1: non-linearities: $F(d + \delta d) \approx F(d) + \delta d \partial_d F(d) + 1/2 \delta d^2 \partial_d^2 F(d)$

< **1 pN** @ $d=10 \mu\text{m}$

2: equivalent RMS noise: $\delta a_{n,RMS}(F) \gtrsim \int_{f_0-f_{BW}/2}^{f_0+f_{BW}/2} \delta a_n \approx \sqrt{f_{BW}} \delta a_n(f_0) \quad f_{BW} \sim 5 \text{ mHz}$

< **0.1 pN** @ $d=10 \mu\text{m}$

required improvement: factor 10 horizontal, 100 vertical around 10 Hz

Vibrations 2: The unlucky first system

Vertical seismic:

- GAS* filter
- ~~active \mathcal{H}_∞ feedback~~

still missing

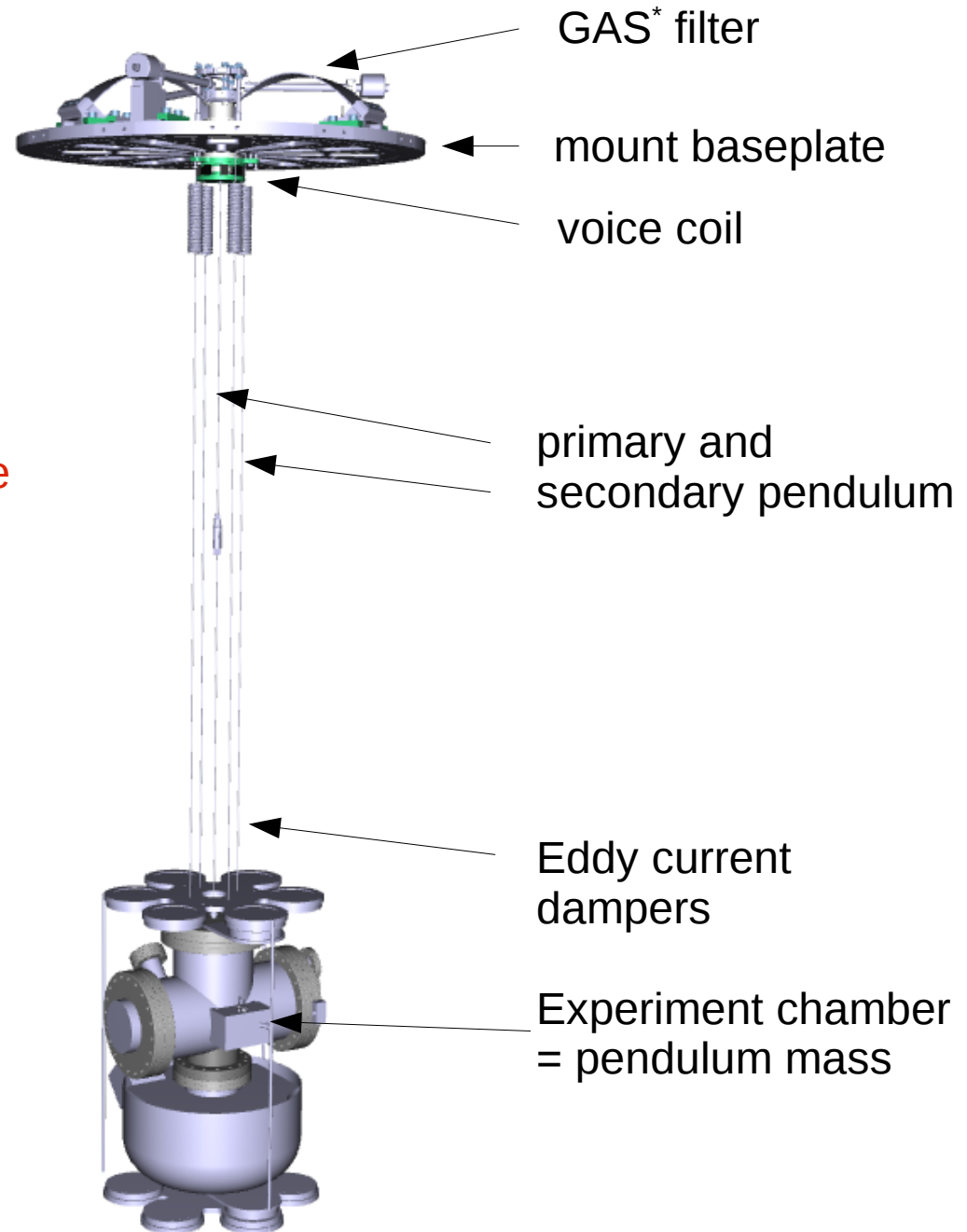
Horizontal seismic:

- ~~double-pendulum~~
- Eddy current dampers

single

Acoustic:

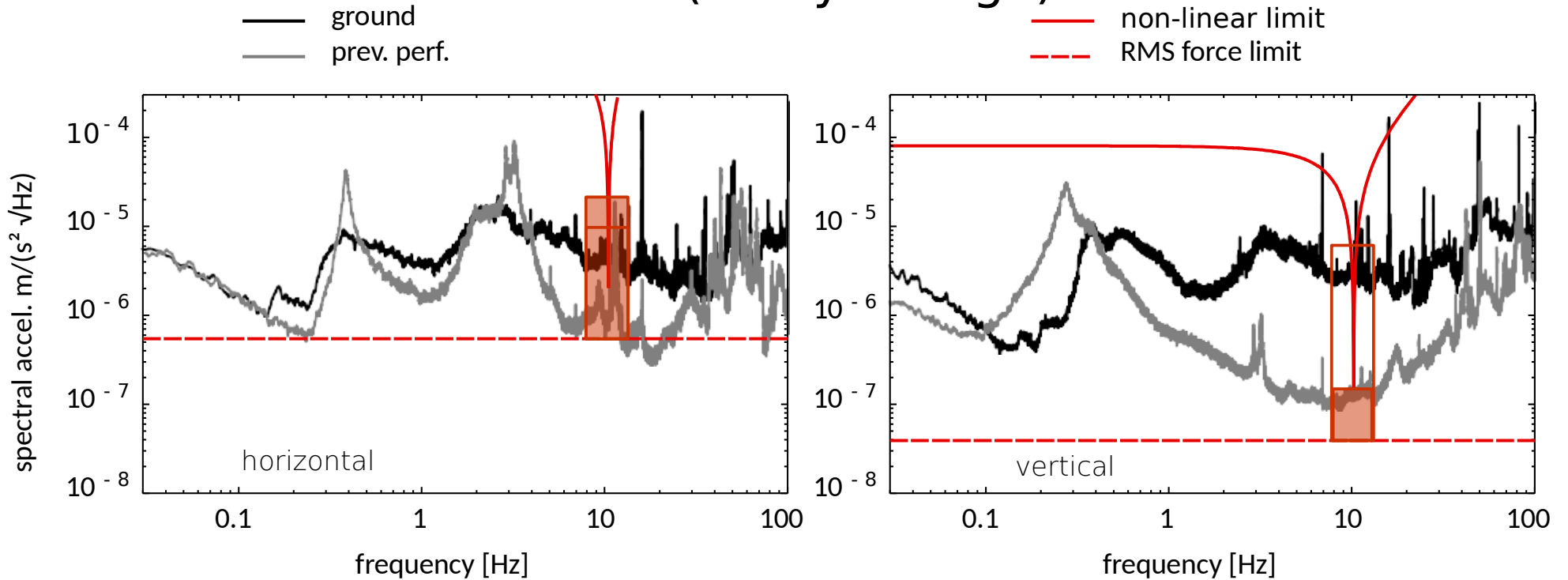
- rigid all-enclosing vacuum chamber
 10^{-5} mbar
(not shown)



* Geometric anti-spring

Vibrations 2: The unlucky first system

Noise levels and limits (one year ago):



New problem: **resonances**

⇒ Could not approach

separations $< 50 \mu m$

required improvement: factor 30 horizontal, 3 vertical around 10 Hz

Vibrations 3: The hopeful update:

Vertical seismic:

- GAS* filter (Euler springs)
- active feedback

Horizontal seismic:

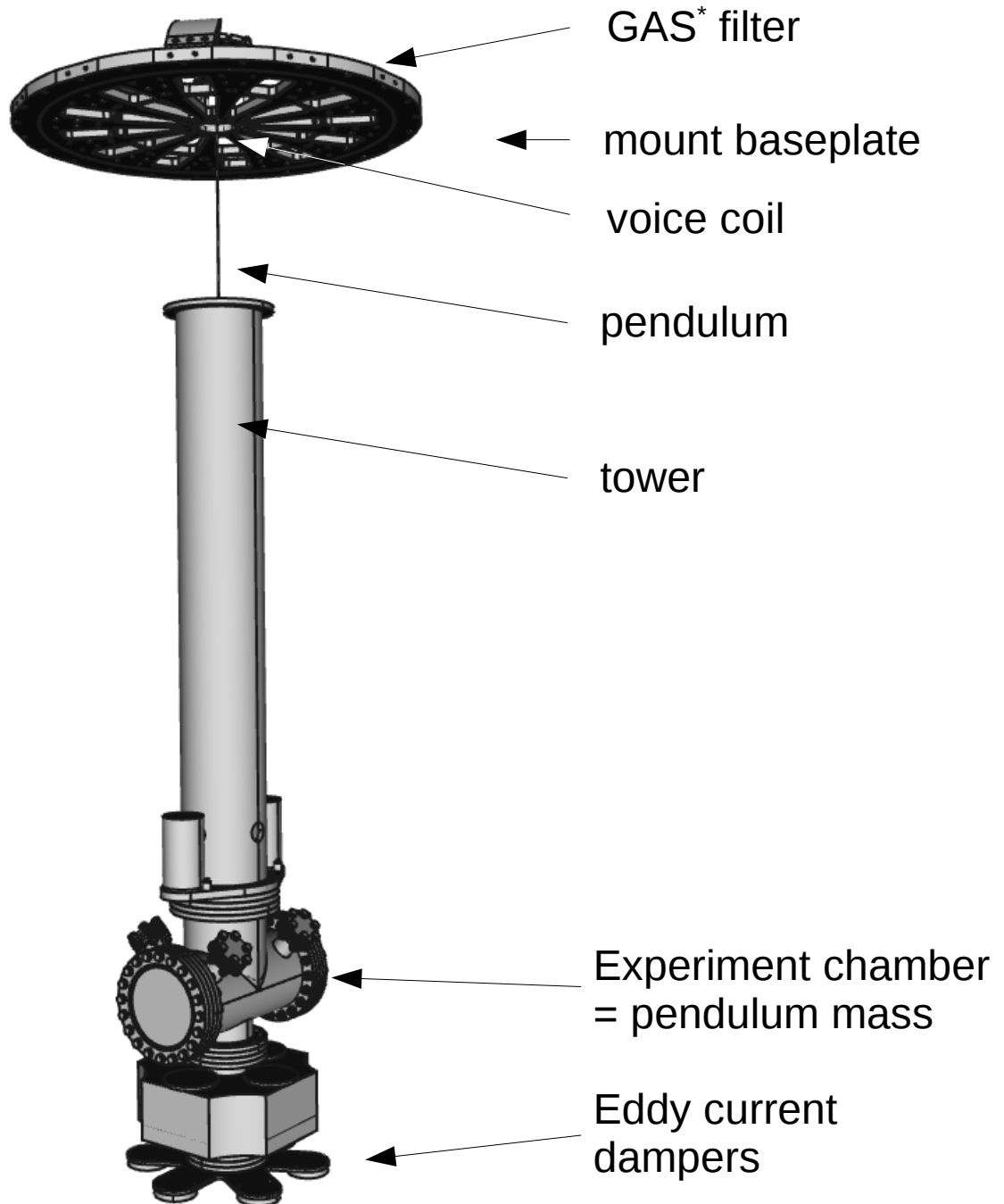
- single-pendulum
thinner wire
- Eddy current dampers

Tilt seismic:

- tower on core chamber
- Eddy current dampers

Acoustic:

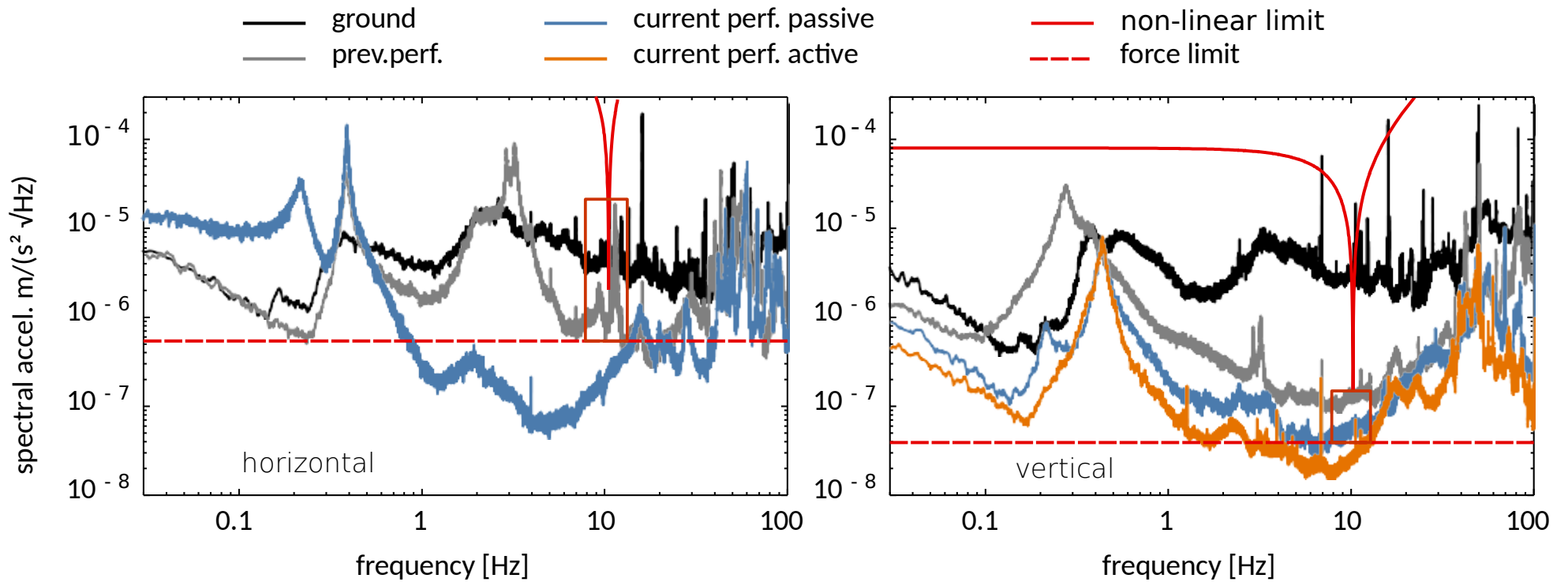
- rigid all-enclosing
vacuum chamber
 10^{-5} mbar
(not shown)



* Geometric anti-spring

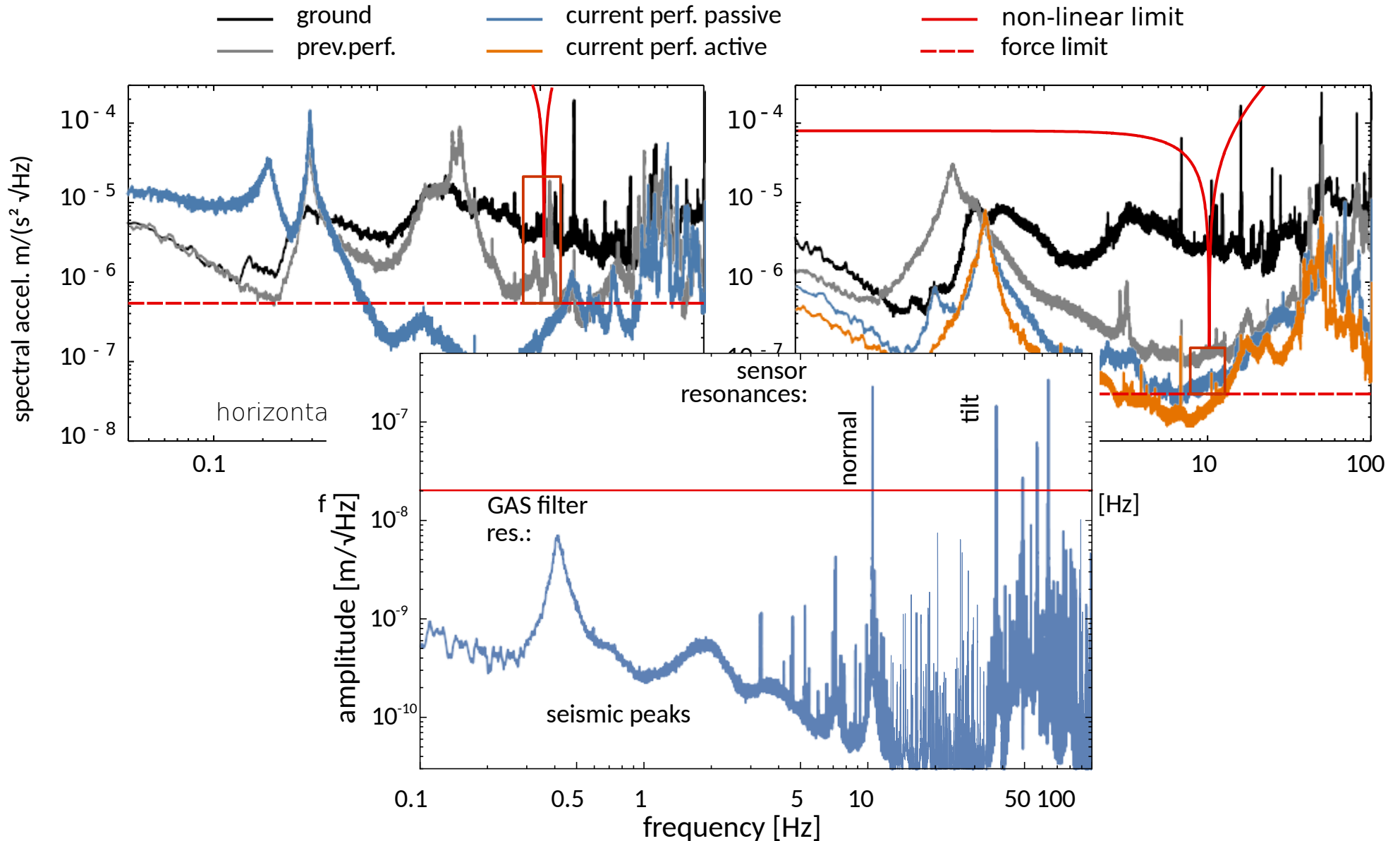
Vibrations 3: The hopeful update

Noise levels and limits:



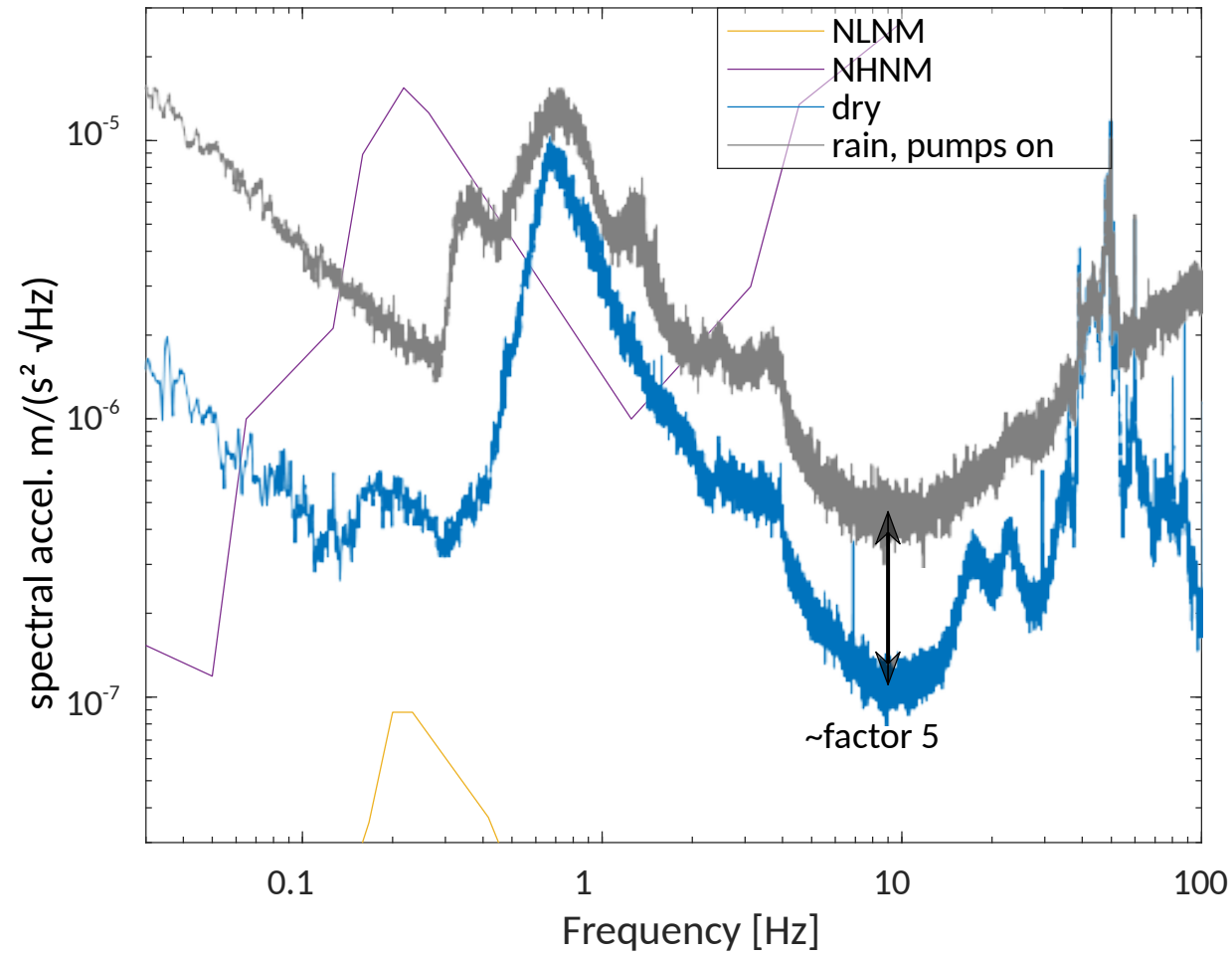
Vibrations 3: The hopeful update

Noise levels and limits:

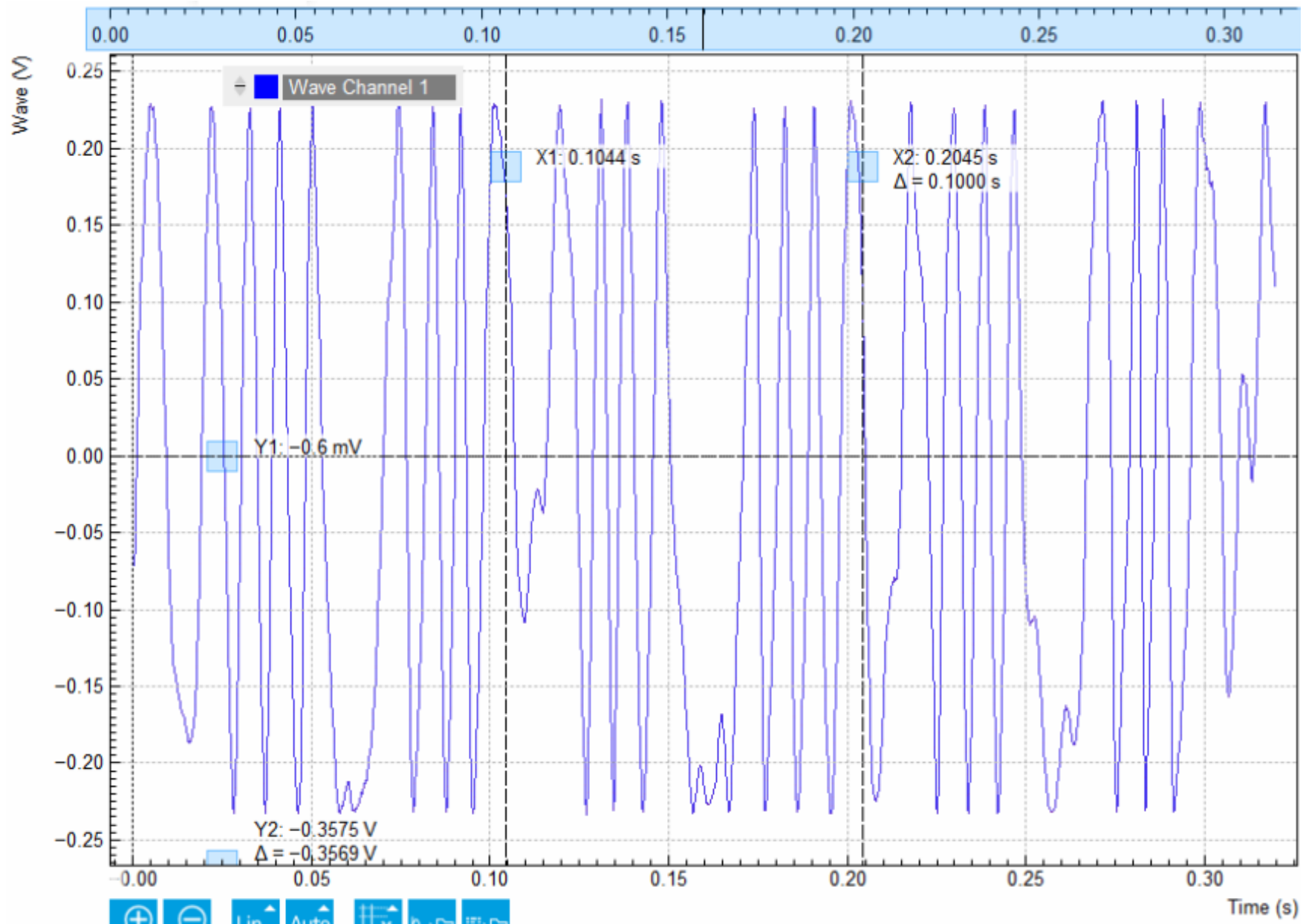


Still an improvement of 30 required (depending on the background)

Vibrations 4: The bitter end



Vibrations 4: The bitter end



Remote operation

Setup completely automatized.

Data acquisition without physical access to the setup.

What can go wrong?

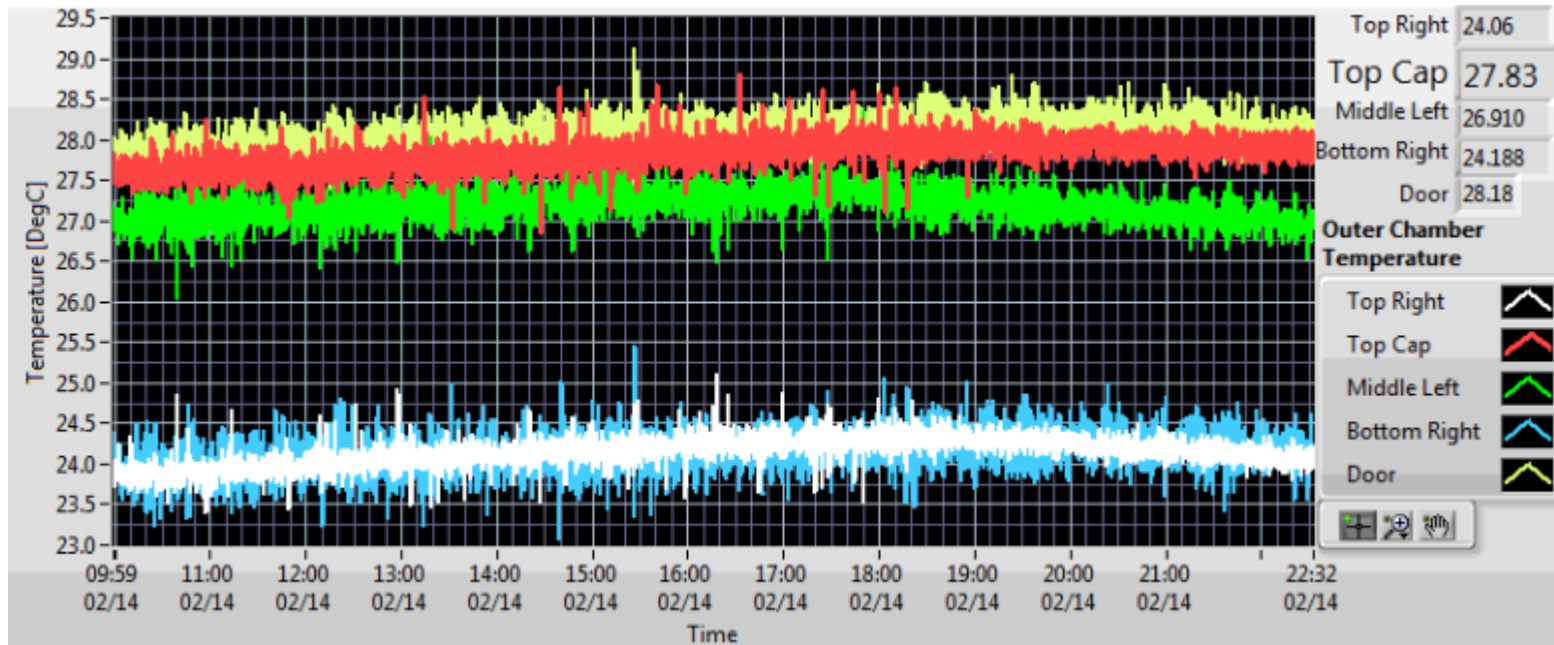
Remote operation

Setup completely automatized.

Data acquisition without physical access to the setup.

What can go wrong?

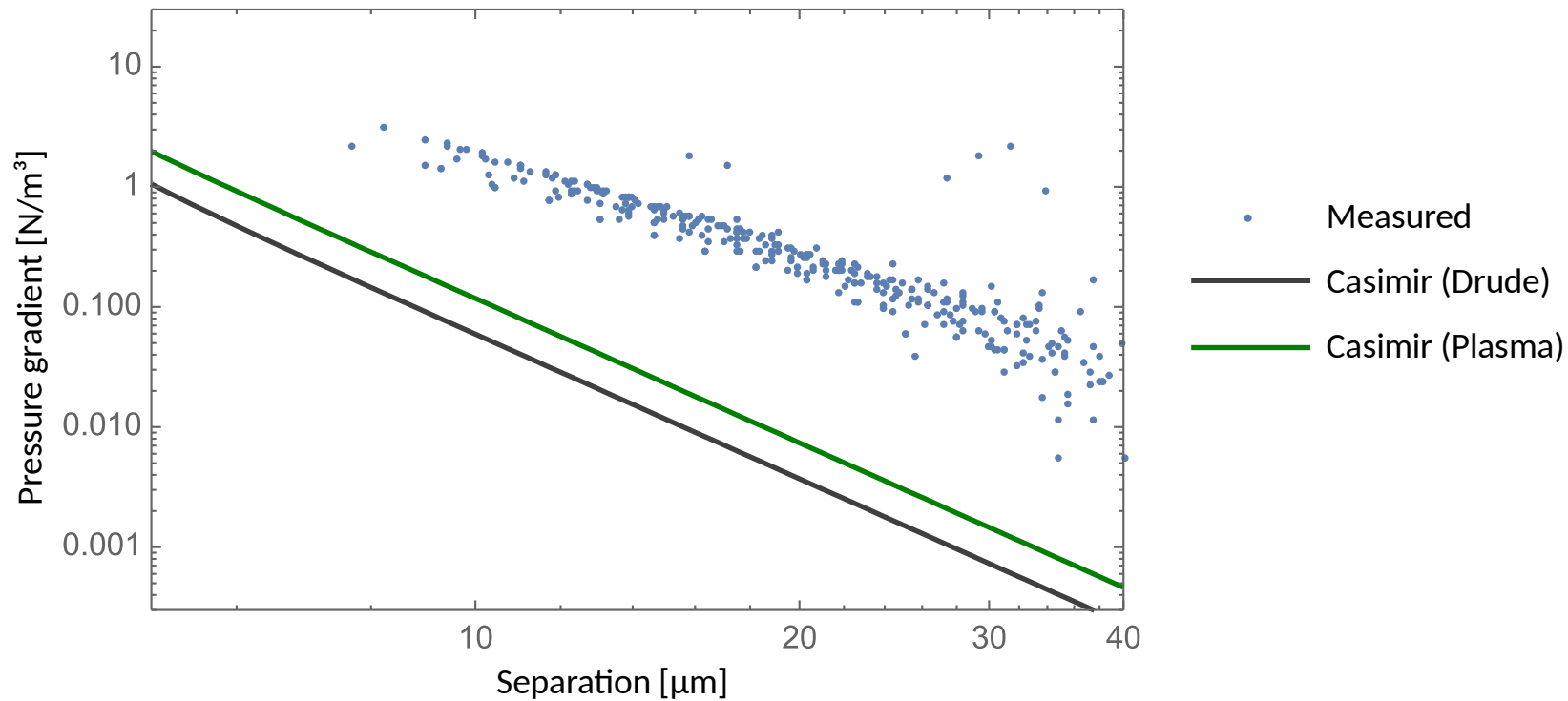
Rain water pipe rupture → Lab flooded → Thermal controls broken



Required stability (sensor spring constant) in sensor spring constant:
Actual stability

< 10 mK
~ 500 mK

However, there is hope



**First evaluation.
Preliminary!**

Calibrated / Measured Parameters

Parallelism (calibrated): $< 200 \mu\text{rad}$

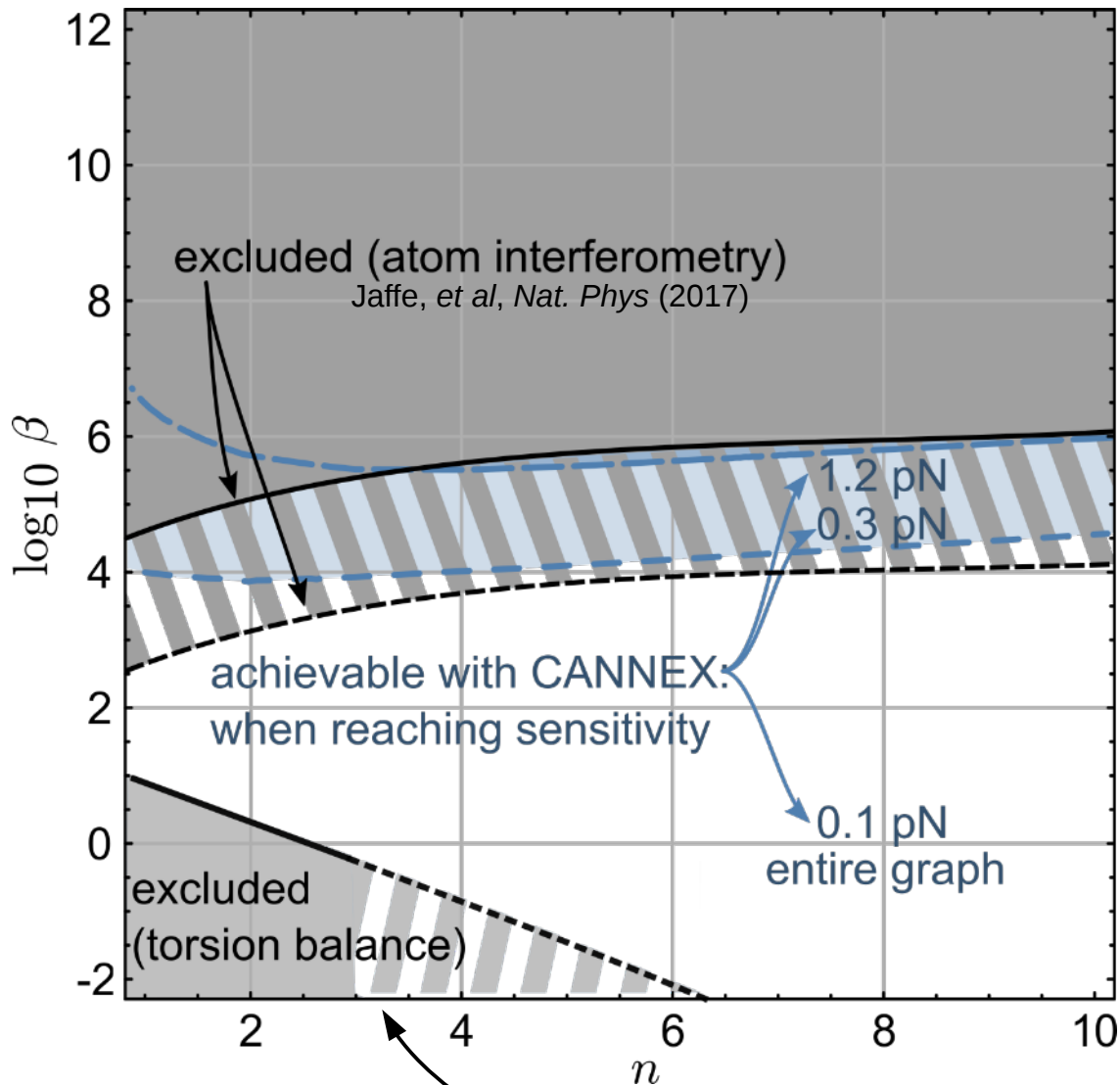
Residual electrostatic potential: $< 8 \mu\text{V}$

Drift $< 500 \text{ nm/h}$

Total thermal drift error $< 2.5 \mu\text{m/run}$

What could we reach?

New limits...



Adelberger, et al, Prog. Part. Nucl. Phys. **62**, 102 (2009)

Assumptions:

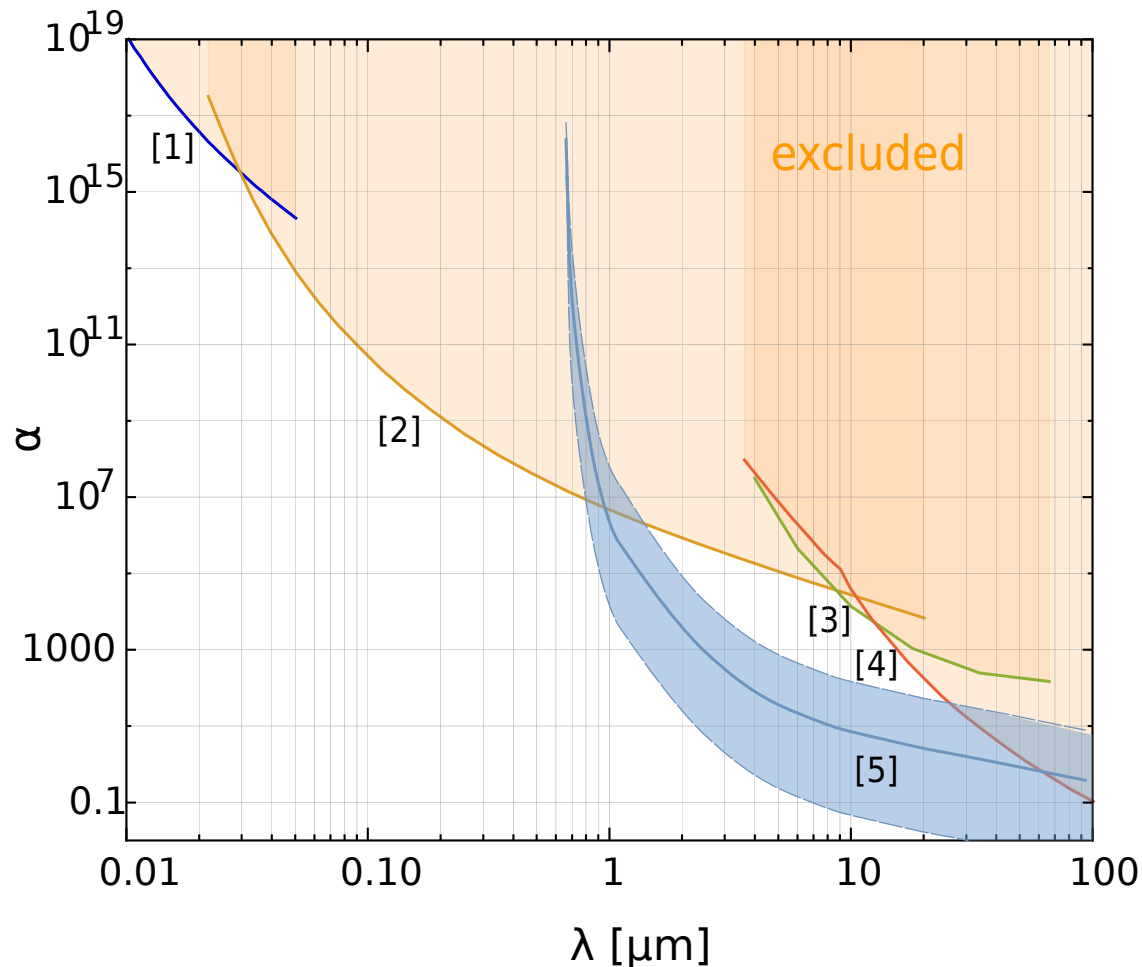
- $V(\phi) = \Lambda^4 \left(1 + \frac{\Lambda^n}{\phi^n} \right)$
- **Active vibration insulation > 30dB at 1 Hz**
- **Sensitivity limited only by**
 - 1) Brownian sensor noise**
 - 2) C-bridge electronic noise**

Room for improvements:

- **Even better vibration insulation (6 axis, two-staged)**
- **Optical readout**
- **Sensor design with larger mass**

What could we reach?

New limits possible... $\alpha = 2\beta^2$ $\lambda = m_\phi^{-1}$



- [1] Sushkov et al, *PRL* **107**, 171101 (2011)
- [2] Chen et al, *PRL*, **116**, 221102 (2016)
- [3] Geraci et al, *PRD* **78**, 022002 (2008)
- [4] Kapner et al, *PRL*, **98**, 021101 (2007)
- [5] Cannex (estimated) $d=10 \mu\text{m}$, 0.1pN

Assumptions:

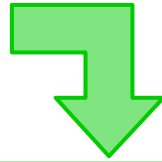
- $V(\phi) = -G \frac{m_1 m_2}{d} \left(1 + \alpha e^{-d/\lambda} \right)$
- **Sensitivity limited only by**
 - 1) Brownian sensor noise**
 - 2) C-bridge electronic noise**
- **PRELIMINARY!**

Room for improvements:

- **Even better vibration insulation (6 axis, two-staged)**
- **3 interferometer optical readout**
- **Sensor design with larger mass**

Outlook & Conclusion

Refurbished Cannex:



Improvements:

6 axis active feedback system to cancel resonances
Fully optical measurements
Pressure modulation system



Measurements:

Frequency shift force measurements 10-30 μm , 1 pN
Pressure modulation measurement at 10 μm , 0.1 pN



Possible Results:

Exclusion of Chameleon forces $n \leq 10$, $\beta > 10^{-2}$
Indication if virtual photons behave differently from real ones
Possibly new limits on Yukawa forces

Acknowledgments

Thank you for your attention!

Stay tuned on our website
cannex.vu.nl



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