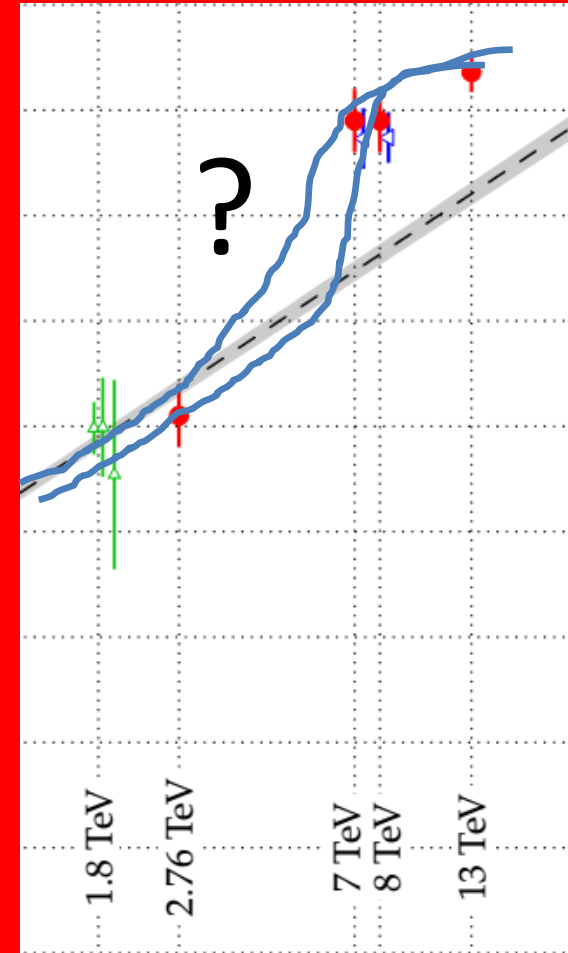


On physical meaning of some diffractive observations at the LHC

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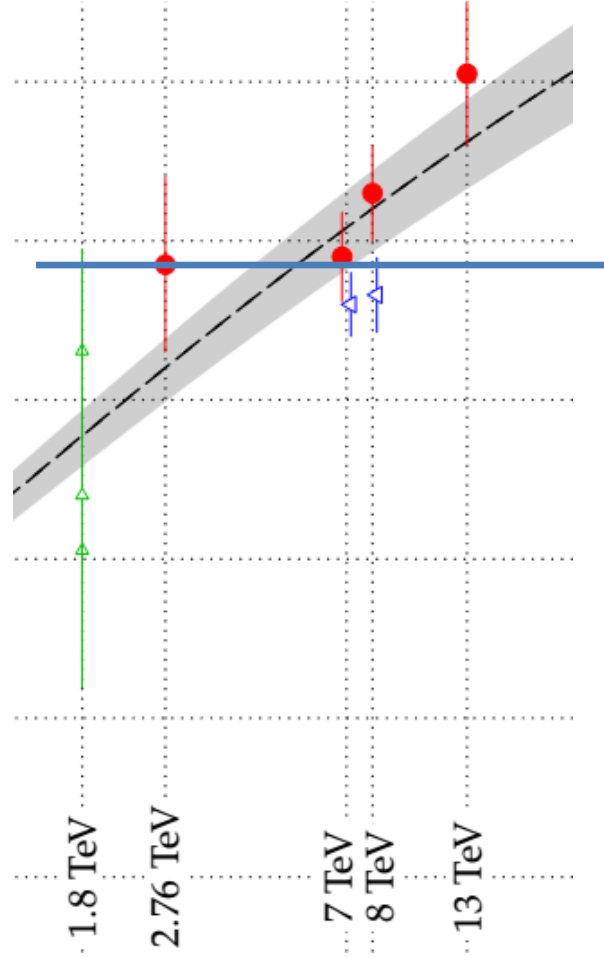
Forward Slope

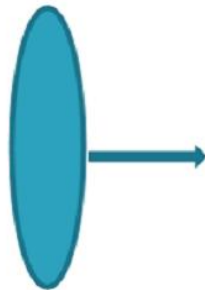
$$\langle b^2 \rangle \approx 2B(s)$$



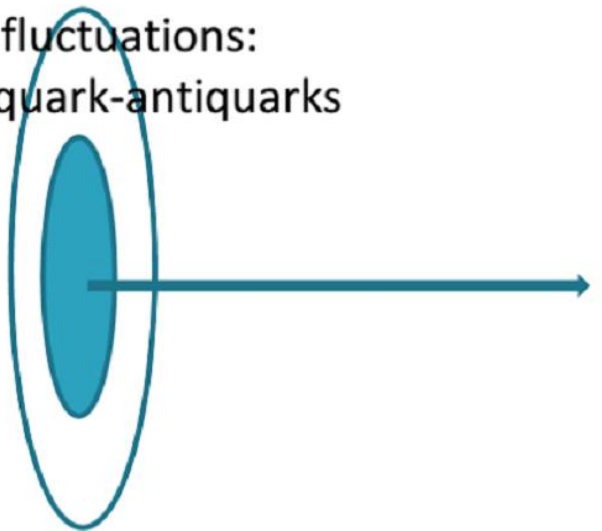
$$\langle r^2 \rangle \approx 3 B(s = (2760 \text{ GeV})^2) \approx 1/m_\pi^2!$$
$$m_{\text{effective}}(\text{gluon}; \sqrt{s} = 2760 \text{ GeV}) \approx m_\pi$$

$$\frac{\sigma_{el}}{\sigma_{tot}} (S)$$





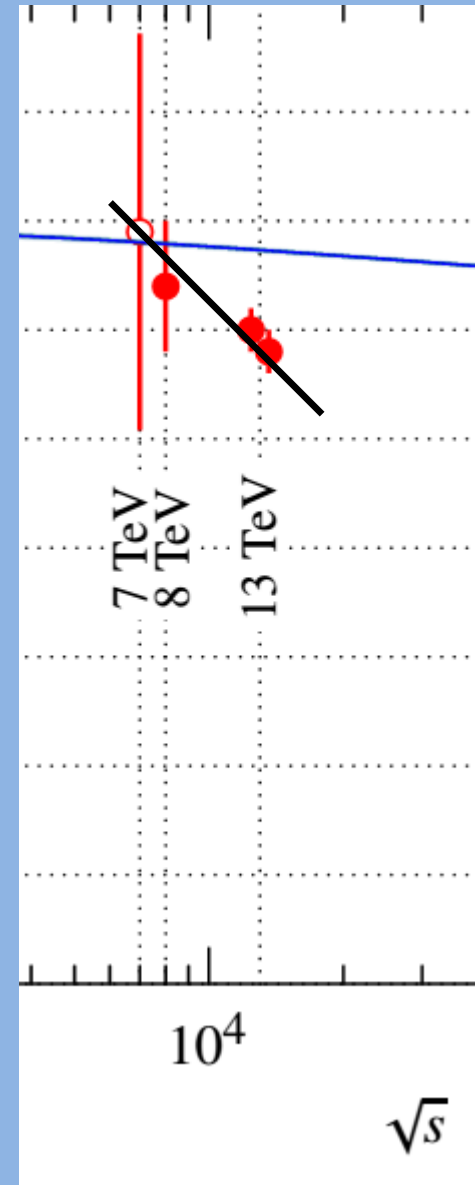
Vacuum fluctuations:
Gluons, quark-antiquarks



$$\rho(s) = \cot[\Phi(s, t = 0)]$$

$$\langle \Delta T^* \rangle = \partial \Phi(s, t = 0) / \partial E^*$$

$$\langle \Delta T^* \rangle = \frac{2}{1 + \rho^2(s)} \left| \frac{\partial \rho(s)}{\partial \sqrt{s}} \right|$$



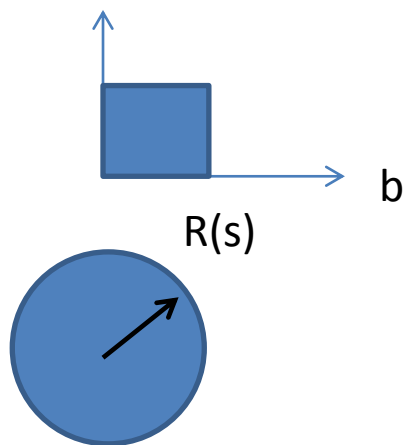
CRJ

$$F^{C+N}(s, t) = F^C(s, t) e^{i\alpha\phi(s, t)} + F^N(s, t)$$

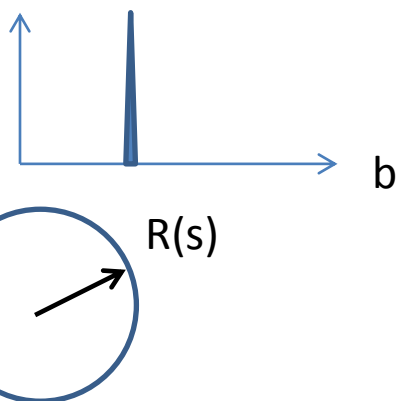


“90% of rigour”

$$\tilde{F}^N(s, b) = \frac{1}{16\pi s} \int dt J_0(b\sqrt{-t}) F^N(s, t)$$



$$\tilde{F}^N(s, b) \sim \delta(b - R(s))$$



What for t-dependence of nuclear phase?

$$F^N(\mathbf{s}, t) = |F^N(\mathbf{s}, t)| e^{i\Phi(\mathbf{s}, t)}$$

$$\langle b^2 \rangle_{el} = \langle (-t)B^2(s, t) + 4(-t)\left[\frac{\partial\Phi(s, t)}{\partial t}\right]^2 \rangle \quad (\text{V. Kundrat et al.})$$

$$\langle x_{\parallel} \rangle = \left\langle \frac{\partial\Phi}{\partial p_{\parallel}} \right\rangle = \sqrt{s - 4m^2} \left\langle \frac{\partial\Phi(s, t)}{\partial t} \right\rangle$$

- t -channel exchange of a colourless 3-gluon bound state ($J^{PC} = 1^{--}$) could decrease ρ in pp collisions at large \sqrt{s}
 - originally predicted as “Odderon” in axiomatic theory [Lukaszuk, Nicolescu]
 - confirmed in QCD [Vacca, Braun, Lipatov et al.]: colourless 3-gluon bound state with stronger internal coupling than external
 - “vector glueball” in lattice calculations [Luscher, Morningstar et al.]
- other manifestations
 - difference of depth of “diffractive dip” between pp and $p\bar{p}$ collisions
 - faster increase of σ_{tot} with \sqrt{s}
 - non-constant hadronic phase and low- $|t|$ deviation from pure exponential
 - no oscillatory effects at large $|t|$
- 2 models in agreement with TOTEM data [Nicolescu, Durham]
 - *agreement improved when included exchange of 3-gluon bound state*

On “Maximal Odderon”

$$F^{MO}(s, t) = \int \frac{dj}{2i\pi} s^j F_-^{MO}(j, t) \sim s \left(\ln s - \frac{i\pi}{2} \right)^2$$

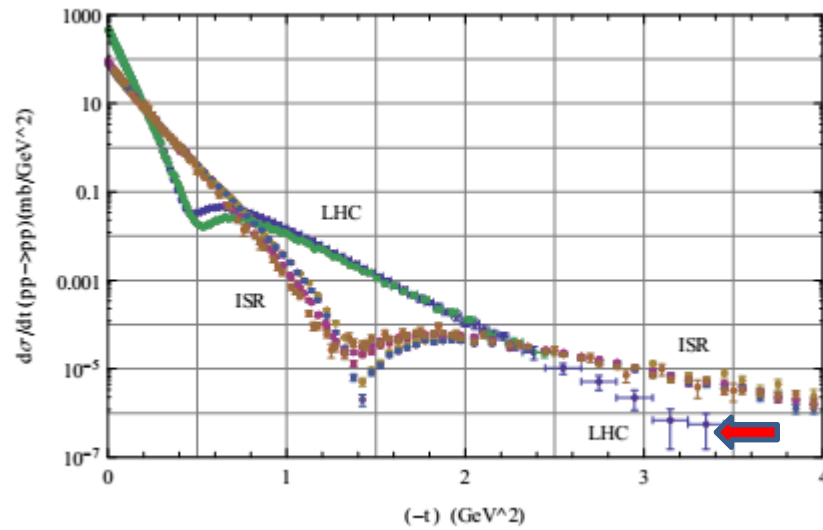
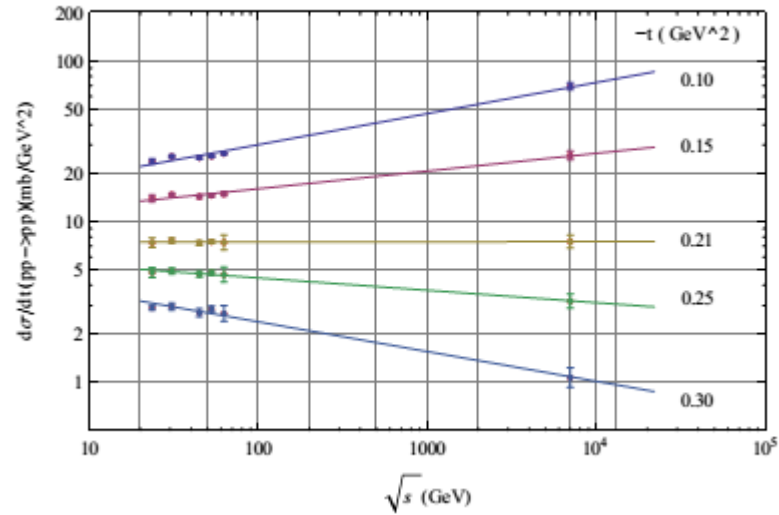
$$F_-^{MO}(j, t) \sim \frac{1}{(j-1)^2 - R^2 t}$$



Massless vector in t-channel p-wave

$$F_-^{MO}(1, t) \sim \frac{1}{-t}$$

Stationary Points ?



DL 3-gluon exchange ruled out