

# violação de CP

LISHEP18 A

### sumário

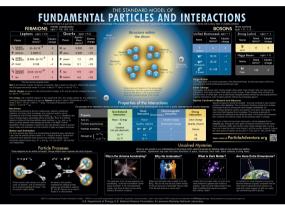
Jussara Miranda 🔵 Salvador,BA,out/18

- modelo padrão da física de partículas (MP)
  - • antecedentes: zoo de partículas

1961 quarks por Gell-Mann

1968 espalhamento profundamente inelástico

- •• férmion (constituintes da matéria)
- bósons (mediadores de forças + Higgs)
- anti-partículas
- Hadrons (Barions & mesons)
- simetrias C,P,T
- 🍎 força fraca(ff): 🎤
  - •• 1956 Lee&Yang proposta de veriticar ff sobre P
  - 1957 Wu **→** ff **\***
  - •• £,P,X...CP?...CPT
- CP: sistema kaons neutros
  - descoberta
- matriz de Cabbibo
- CKM: matriz de mistura de decaimentos fracos entre quarks e solução do MP para CX
- lue CP em B $\rightarrow$  hhh no LHCb



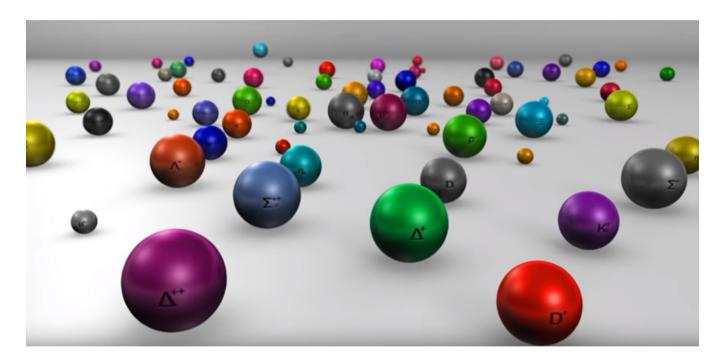
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•• toda matéia em estado fundamental



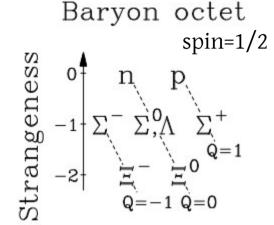
+ fóton +neutrinos

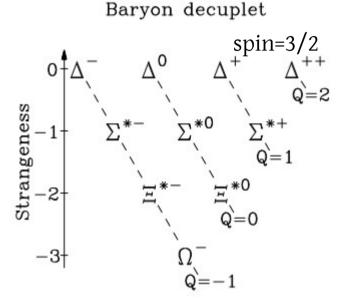
•• ~1960 por raios cósmicos e aceleradores um verdadeiro zoo de partículas havia sido observado



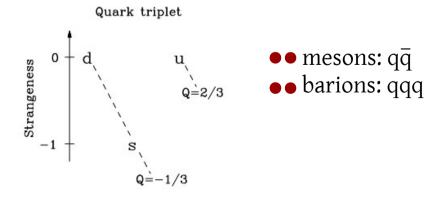
- estranheza
   •número quântico para classificar partículas
   produzidas aos pares com tempo de vida muto maior do que o esperado a julgar por suas massas
- 1961: Gell-Mann & Neeman•• eighfold-way organiza o zoo em multipletos (SU sabor)

Meson octet spin=0  $K^0$   $K^+$   $K^ K^0$   $K^+$   $K^ K^0$   $K^ K^0$   $K^+$   $K^ K^0$ 

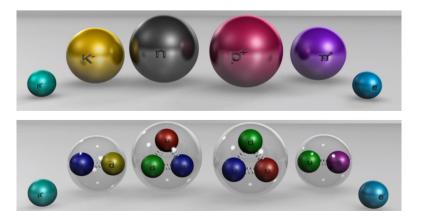




● 1964: Gell-Mann + Zweig ••idéia de quarks "constituintes" simplifica ainda mais...

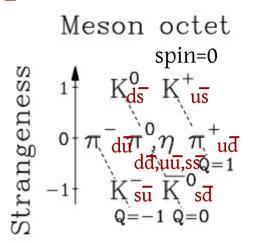


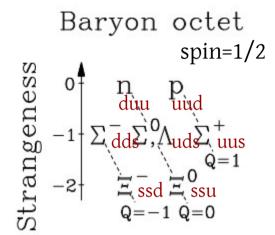
não supunham se tratar de objetos reais

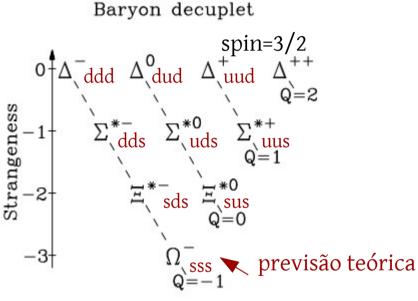


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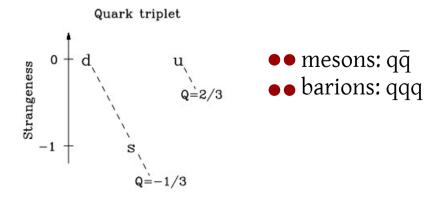
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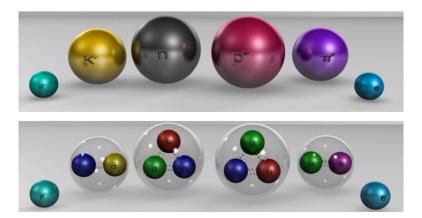




● 1964: Gell-Mann + Zweig ••idéia de quarks "constituintes" simplifica ainda mais...



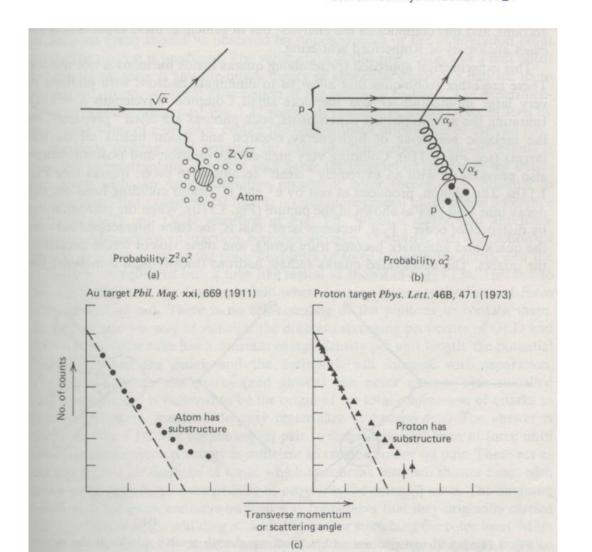
não supunham se tratar de objetos reais



1968 espalhamento profundamente inelástico.... estrutura no proton

^ E.D. Bloom; et al. (1969). "High-Energy Inelastic *e–p* Scattering at 6° and 10°". *Physical Review Letters*. **23** (16): 930–934. Bibcode:1969PhRvL..23..930B &. doi:10.1103/PhysRevLett.23.930 &.

^ M. Breidenbach; et al. (1969). "Observed Behavior of Highly Inelastic Electron-Proton Scattering". *Physical Review Letters.* 23 (16): 935–939. Bibcode:1969PhRvL..23..935B ₺. doi:10.1103/PhysRevLett.23.935 ₺.



### MP: férmions constituintes da matéria

constituintes da matéria: quarks e leptons, férmions ( e **anti-férmions**) de spin=1/2 constituem a matéria

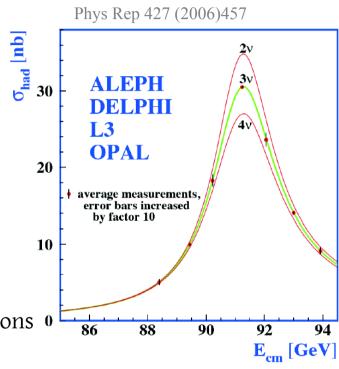
• 3 famílias

	FERMIONS matter constituents spin = 1/2, 3/2, 5/2,				
Lep	otons spin =1/2	2	Quar	<b>ks</b> spin	=1/2
Flavor	Mass GeV/c <sup>2</sup>	Electric charge	Flavor	Approx. Mass GeV/c <sup>2</sup>	Electric charge
<ul><li>V<sub>L</sub> lightest neutrino*</li><li><b>e</b> electron</li></ul>	(0-2)×10 <sup>-9</sup> 0.000511	0 –1	u <sub>up</sub>	0.002 0.005	2/3 -1/3
$ u_{\!\!\!\!M}$ middle neutrino* $\mu$ muon	(0.009-2)×10 <sup>-9</sup> 0.106	0 –1	C charm S strange	1.3 0.1	2/3 –1/3
$\mathcal{V}_{H}$ heaviest neutrino* $ au$ tau	(0.05-2)×10 <sup>-9</sup>	0 –1	t top b bottom	173 4.2	2/3 –1/3

quarks não existem isolados, são constituintes dos hadrons
 ... força forte aumenta com a distância

	Baryons qqq and Antibaryons qqq Baryons are fermionic hadrons. There are a few of the many types of baryons.					
Symbol	Name	Quark content	Electric charge	GeV/c <sup>2</sup>	Spin	
р	proton	uud	1	0.938	1/2	
p	antiproton	ūūd	-1	0.938	1/2	
n	neutron	udd	0	0.940	1/2	
Λ	lambda	uds	0	1.116	1/2	
Ω-	omega	SSS	-1	1.672	3/2	

The	$\begin{array}{c} \textbf{Mesons } \textbf{q}\overline{\textbf{q}} \\ \textbf{Mesons are bosonic hadrons} \\ \textbf{There are a few of the many types of mesons.} \end{array}$						
Symbol	Name	Quark content	Electric charge	GeV/c <sup>2</sup>	Spin		
π+	pion	ud	+1	0.140	0		
K-	kaon	sū	-1	0.494	0		
ρ+	rho	ud	+1	0.770	1		
$\mathbf{B}^0$	B-zero	db̄	0	5.279	0		
$\eta_{\rm c}$	eta-c	сē	0	2.980	0		



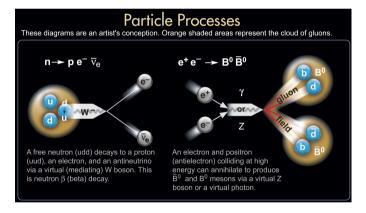
### MP: bósons, mediadores das forças

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teorias de gauge: interação se da pela troca de bósons mediadores das interações

BOSONS Unified Electroweak spin = 1				orce carrier spin = 0, 1,	2,	-: <b>1</b>
Unified Ele	ectroweak	spin = i		Strong (c	olor) s	oin = 1
Name	Mass GeV/c <sup>2</sup>	Electric charge		Name	Mass GeV/c <sup>2</sup>	Electric charge
$\gamma$ photon	0	0		<b>g</b> gluon	0	0
w-	80.39	-1		Higgs Bo	son s	oin = 0
<b>W</b> + W bosons	80.39	+1		Name	Mass GeV/c <sup>2</sup>	Electric charge
<b>Z</b> 0 Z boson	91.188	0		<b>H</b> Higgs	126	0





- Properties of the Interactions ectromagnetic force for two u quarks separated by the specified distance Electromagnetic Gravitational Strona Interaction (Electroweak) Interaction Interaction Interaction Property Mass - Energy Flavor Electric Charge Color Charge Acts on: Particles experiencing: All Quarks, Leptons **Electrically Charged** Quarks, Gluons Graviton  $W^{+}W^{-}Z^{0}$ Particles mediating: Gluons (not yet observed)  $10^{-41}$ 8.0 25 Strength at 10-4  $10^{-41}$ 60
- força forte: mantem hádrons e núcleo atômico o não atua em léptons.
- força fraca: decaimento troca de sabor • atua em quarks e léptons

# THE STANDARD MODEL OF FUNDAMENTAL PARTICLES AND INTERACTIONS

FFRMIONS matter constituents

spiii - 1/2, 3/2, 3/2,					
Leptons spin = 1/2			Quarks spin =1/2		
Flavor	Mass GeV/c <sup>2</sup>	Electric charge	Flavor	Approx. Mass GeV/c <sup>2</sup>	Electric charge
$v_{\rm L}$ lightest neutrino*	(0-2)×10 <sup>-9</sup>	0	<b>u</b> up	0.002	2/3
<b>e</b> electron	0.000511	-1	<b>d</b> down	0.005	-1/3
v <sub>M</sub> middle neutrino*	(0.009-2)×10 <sup>-9</sup>	0	C charm	1.3	2/3
$\mu$ muon	0.106	-1	<b>S</b> strange	0.1	-1/3
ν <sub>H</sub> heaviest neutrino*	(0.05-2)×10 <sup>-9</sup>	0	<b>t</b> top	173	2/3
au tau	1.777	-1	<b>b</b> bottom	4.2	-1/3

\*See the neutrino paragraph below.

Spin is the intrinsic angular momentum of particles. Spin is given in units of ħ, which is the quantum unit of angular momentum where  $h = h/2\pi = 6.58 \times 10^{-25}$  GeV s =1.05×10<sup>-34</sup> J s.

Electric charges are given in units of the proton's charge. In SI units the electric charge of the proton is 1 60×10<sup>-19</sup> coulombs

The energy unit of particle physics is the electronvolt (eV), the energy gained by one electron in crossing a potential difference of one volt. Masses are given in  $GeV/c^2$  (remember  $E = mc^2$ ) where 1 GeV =  $10^9$  eV =  $1.60 \times 10^{-10}$  joule. The mass of the proton is 0.938 GeV/ $c^2$  =  $1.67 \times 10^{-27}$  kg.

#### Neutrinos

Neutrinos are produced in the sun, supernovae, reactors, accelerator collisions, and many other processes. Any produced neutrino can be described as one of three neutrino flavor states  $\nu_{\rm e}$ ,  $\nu_{\rm tt}$ , or  $\nu_{\rm \tau}$ , labelled by the type of charged lepton associated with its production. Each is a defined quantum mixture of the three definite-mass neutrinos  $\nu_{\rm L}, \nu_{\rm M}, \,$  and  $\, \nu_{\rm H} \,$  for which currently allowed mass ranges are shown in the table. Further exploration of the properties of neutrinos may yield powerful clues to puzzles about matter and antimatter and the evolution of stars and galaxy structures.

#### **Matter and Antimatter**

For every particle type there is a corresponding antiparticle type, denoted by a bar over the particle symbol (unless + or - charge is shown). Particle and antiparticle have identical mass and spin but opposite charges. Some electrically neutral bosons (e.g.,  $Z^0$ ,  $\gamma$ , and  $\eta_c = c\bar{c}$  but not  $K^0 = d\bar{s}$ ) are their own antiparticles

#### Structure within Atom the Atom Neutron Nucleus Size ≈ 10<sup>-14</sup> m Electron

If the proton and neutrons in this picture were 10 cm across, then the quarks and electrons would be less than 0.1 mm in size and the entire atom would be about 10 km across.

#### Properties of the Interactions

The strengths of the interactions (forces)

and the state of t				
Property	Gravitational Interaction	Weak Interaction <sub>(Electro</sub>	Electromagnetic oweak) Interaction	Strong Interaction
Acts on:	Mass – Energy	Flavor	Electric Charge	Color Charge
Particles experiencing:	All	Quarks, Leptons	Electrically Charged	Quarks, Gluons
Particles mediating:	Graviton (not yet observed)	W+ W- Z <sup>0</sup>		Gluons
Strength at \$\int 10^{-18} m\$	10-41	0.8		25
3×10 <sup>-17</sup> m	10 <sup>-41</sup>	10-4	1	60

#### **BOSONS**

Unified Ele	Unified Electroweak spin = 1			
Name	Mass GeV/c <sup>2</sup>	Electric charge		
$\gamma$ photon	0	0		
w-	80.39	-1		
w+	80.39	+1		
W bosons Z 0 Z boson	91.188	0		

F ··· - 7 · 7 = 7 · · ·				
Strong (color) spin = 1				
Name Mass Electric GeV/c <sup>2</sup> charge				
<b>g</b> gluon	0	0		

Higgs Boson spin = 0				
Name	Mass GeV/c <sup>2</sup>	Electric charge		
<b>H</b> Higgs	126	0		

The Higgs boson is a critical component of the Standard Model. Its discovery helps confirm the mechanism by which fundamental particles get mass.

Unsolved Mysteries

discoveries. Experiments may even find extra dimensions of space, microscopic black holes, and/or evidence of string theory.

Only quarks and gluons carry "strong charge" (also called "color charge") and can have strong interactions. Each quark carries three types of color charge. These charges have nothing to do with the colors of visible light. Just as electrically-charged particles interact by exchanging photons, in strong interactions, color-charged particles interact by exchanging gluons.

#### Quarks Confined in Mesons and Baryons

Quarks and gluons cannot be isolated – they are confined in color-neutral particles called **hadrons**. This confinement (binding) results from multiple exchanges of gluons among the color-charged constituents. As color-charged particles (quarks and gluons) move apart, the energy in the color-force field between them increases. This energy eventually is converted into additional quark-antiquark pairs. The guarks and antiquarks then combine into hadrons; these are the particles seen to emerge.

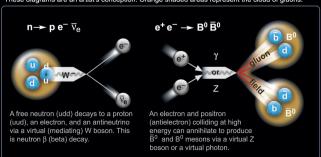
Two types of hadrons have been observed in nature **mesons** qq and baryons ggg. Among the many types of baryons observed are the proton (uud), antiproton (ūūd), and neutron (udd). Quark charges add in such a way as to make the proton have charge 1 and the neutron charge 0. Among the many types of mesons are the pion  $\pi^+$  (ud), kaon K $^-$  (sū), and B $^0$  (db).

Learn more at ParticleAdventure.org



#### Particle Processes Driven by new puzzles in our understanding of the physical world, particle physicists are following paths to new wonders and startling

These diagrams are an artist's conception. Orange shaded areas represent the cloud of gluons.



#### Why is the Universe Accelerating?



The expansion of the universe appears to be accelerating. Is this due to Einstein's Cosmological Constant? If not, will experiments reveal a new force of nature or even extra (hidden) dimensions of space?

#### Why No Antimatter?



Matter and antimatter were created in the Big Bang. Why do we now see only matter except for the tiny amounts of antimatter that we make in the lab and observe in cosmic rays?

#### What is Dark Matter?



Invisible forms of matter make up much of the mass observed in galaxies and clusters of galaxies. Does this dark matter consist of new types of particles that interact very weakly with ordinary matter?

#### Are there Extra Dimensions?



An indication for extra dimensions may be the extreme weakness of gravity compared with the other three fundamental forces (gravity is so weak that a small magnet can pick up a paper clip overwhelming Earth's gravity).

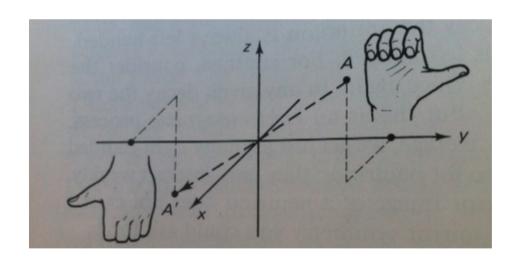
### simetrias: C,P,T



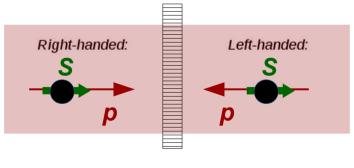
Carga  $q \longrightarrow -q$ Paridade  $r \longrightarrow -r$ Tempo  $t \longrightarrow -t$ 

até ~1950 pensava-se que estas eram simetrias fundamentais em todas as leis da física

### P



 quanticamente spins são paralelos ou anti-paralelos à direção do movimento helicidade troca de sinal sob P



espelho

# força fraca(ff): P

- ff é responsável pelos decaimentos de quarks e leptons.
  - •• proposta por Fermi para explicar o decaimento  $\beta$





ffeP?

PHYSICAL REVIEW

VOLUME 104, NUMBER 1

OCTOBER 1, 1956

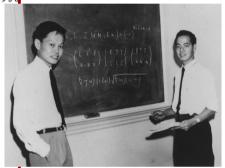
#### Question of Parity Conservation in Weak Interactions\*

T. D. Lee, Columbia University, New York, New York

C. N. Yang, Brookhaven National Laboratory, Upton, New York (Received June 22, 1956)

The question of parity conservation in  $\beta$  decays and in hyperon and meson decays is examined. Possible experiments are suggested which might test parity conservation in these interactions.

high degree of accuracy, but that for the weak interactions (i.e., decay interactions for the mesons and hyperons, and various Fermi interactions) parity conservation is so far only an extrapolated hypothesis unsupported by experimental evidence. (One might even say that the present  $\theta - \tau$  puzzle may be taken as an indication that parity conservation is violated in weak interactions. This argument is, however, not to



#### **Θ**-τ puzzle

$$\theta^{+} \rightarrow \pi^{+} \pi^{0} + 1 + 1 + m_{\theta} = m_{\tau}$$

$$\tau^{+} \rightarrow \pi^{+} \pi^{+} \pi^{-} -1 \tau_{\theta} = \tau_{\tau} \approx 10^{-8} s$$

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se as interações fracas não conservam P  $\theta^+ = \tau^+ = K^+$ 

**Proposição:** observar spin de produtos de decaimentos radiativo de núcleos polarizados

$$^{\dagger}P_{\pi} = -1; P_{2\pi} = +1; P_{3\pi} = -1$$

# força fraca(ff): 🗗

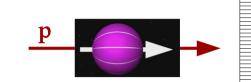
Phys. Rev. 105 (1957)
1413

Experimental Test of Parity Conservation
in Beta Decay\*

C. S. Wu, Columbia University, New York, New York

AND

E. Ambler, R. W. Hayward, D. D. Hoppes, and R. P. Hudson, National Bureau of Standards, Washington, D. C. (Received January 15, 1957)

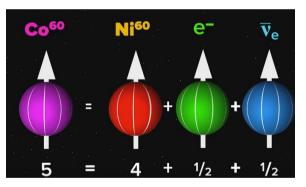


-p

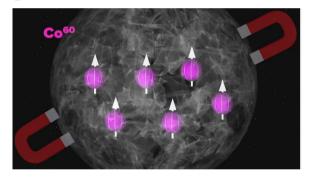
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**Nobel 1957** 

• decaimento radiativo do Co<sup>60</sup>

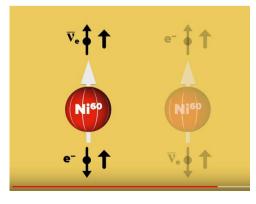


polarizado



•elétrons e neutrinos movem-se na direção no núcleo em sentidos opostos.





 no caso de conservação de paridade não existiria sentido preferencial na emissão dos elétrons

Wu observa que os elétrons se movem no sentido oposto à polarização do Co<sup>60</sup>



## forca fraca(ff): P.Q.T...CP?...CPT



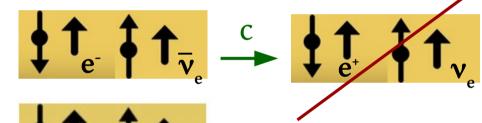
🕨 força fraca não só viola P, viola maximamente 👚

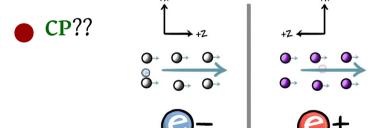




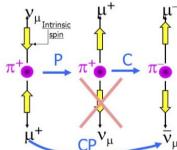
a força fraca só interage com anti-neutrinos (anti-partículas) de mão-direita e neutrinos (partículas) de mão-esquerda

força fraca viola maximamente C





força fraca viola "minimamente" CP



**CPT** TEOREMA : qualquer teoria de campos relativística é invariante por **CPT** 











### sistema kaons neutros

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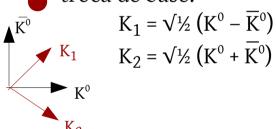
- partículas estranhas:
  - •• produzidas aos pares em interações fortes ( $\Delta S=0$ )
  - decaem por interações fracas  $|\Delta S|=1$

PHYSICAL REVIEW VOLUME 97. NUMBER 5 MARCH 1, 1955 Behavior of Neutral Particles under Charge Conjugation M. Gell-Mann,\* Department of Physics, Columbia University, New York, New York A. Pais, Institute for Advanced Study, Princeton, New Jersey (Received November 1, 1954)

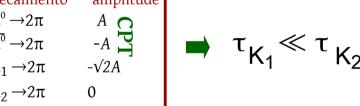
- $K^{0}(\overline{ds})$ : S=+1 ••  $K^{0} \rightarrow 2\pi$   $\overline{K}^{0}(\overline{ds})$ : S=-1 ••  $\overline{K}^{0} \rightarrow 2\pi$
- $|\Delta S|=2$   $K^0 \to 2\pi \to K^0$

partícula anti-partícula mix por interações fracas

troca de base:



Decaimento	amplitude
$K^0 \rightarrow 2\pi$	$A \subseteq$
$\overline{K^0} \rightarrow 2\pi$	-A 🔁
$K_1 \rightarrow 2\pi$	-√2A
$K_2 \rightarrow 2\pi$	0



dois tempos de vida distintos no sistema de kaons neutros.

como K2 não se acopla a  $2\pi$ , (modo mais facilmente atingível) ele terá tempo de vida maior

K<sub>1</sub> e K<sub>2</sub> are não são partícula e antipartícula; não têm S bem definido. São eles os "objetos" que efetivamente decaem

$$K^0$$
 e  $\overline{K^0}$  são produzidos  $K_1$  e  $K_2$  decaem

previsão teórica existência de dois mésons neutros

### sistema kaons neutros



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$$\begin{array}{ccc}
\mathbf{P}|\mathbf{K}^{0}\rangle = -|\mathbf{K}^{0}\rangle & \mathbf{P}|\overline{\mathbf{K}}^{0}\rangle = -|\overline{\mathbf{K}}^{0}\rangle \\
\mathbf{C}|\mathbf{K}^{0}\rangle = |\overline{\mathbf{K}}^{0}\rangle & \mathbf{C}|\overline{\mathbf{K}}^{0}\rangle = |\mathbf{K}^{0}\rangle \\
\mathbf{CP}|\mathbf{K}^{0}\rangle = -|\overline{\mathbf{K}}^{0}\rangle & \mathbf{CP}|\overline{\mathbf{K}}^{0}\rangle = -|\mathbf{K}^{0}\rangle
\end{array}$$

 $K_0$  e  $K_0$  não são auto-estados de **CP** 

$$CP|K_1\rangle = |K_1\rangle$$
  $CP|K_2\rangle = -|K_2\rangle$  assumindo  $CP \implies K_1 \rightarrow 2\pi$   $K_2 \rightarrow 3\pi^{\dagger}$ 

observação dos K,

 $K_1 = \sqrt{\frac{1}{2}} \left( K^0 - \overline{K}^0 \right)$  $K_2 = \sqrt{\frac{1}{2}} \left( K^0 + \overline{K}^0 \right)$ 

se CP então podemos associar K, com K, e K<sub>2</sub> com K<sub>1</sub> que são efetivamente observados no laboratório (auto-estados de massa)

se CP então K  $\rightarrow 2\pi$ 

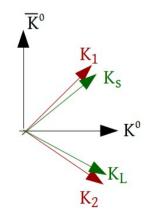
#### Observation of Long-Lived Neutral V Particles\*

K. Lande, E. T. Booth, J. Impeduglia, and L. M. Lederman, Columbia University, New York, New York

> W. Chinowsky, Brookhaven National Laboratory, Upton, New York (Received July 30, 1956)

#### resumo

força forte	$K^0$ , $\overline{K}^0$	composição de quarks
auto-estados CP	$K_1, K_2$	$\operatorname{CP} K_{1,2}\rangle =+,- K_{1,2}\rangle$
auto-estados de massa	$K_{S}, K_{L}$	propagação



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PHYSICAL REVIEW LETTERS

27 JULY 1964

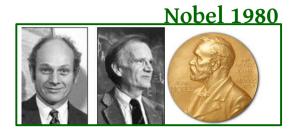
EVIDENCE FOR THE  $2\pi$  DECAY OF THE  $K_2^0$  MESON\*†

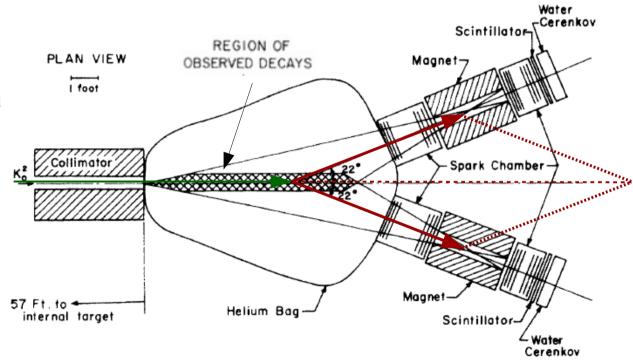
J. H. Christenson, J. W. Cronin, V. L. Fitch, and R. Turlay

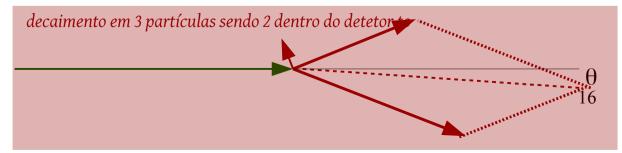
The analysis program computed the vector momentum of each charged particle observed in the decay and the invariant mass, m\*, assuming each charged particle had the mass of the charged pion.

In this detector the  $K_{e3}$  decay leads to a distribution in  $m^*$  ranging from 280 MeV to ~536 MeV; the  $K_{\mu3}$ , from 280 to ~516; and the  $K_{\pi3}$ , from 280 to 363 MeV.

An important calibration of the apparatus and data reduction system was afforded by observing the decays of  $K_1^0$  mesons produced by coherent regeneration in 43 gm/cm² of tungsten. Since the  $K_1^0$  mesons produced by coherent regeneration have the same momentum and direction as the  $K_2^0$  beam, the  $K_1^0$  decay simulates the direct decay of the  $K_2^0$  into two pions. The regenerator was successively placed at intervals of 11 in.



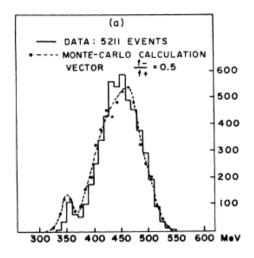




‡The Discovery of CP Violation: a Surprise -- Prof. Jim Cronin 30 video: http://cds.cern.ch/record/1228545/







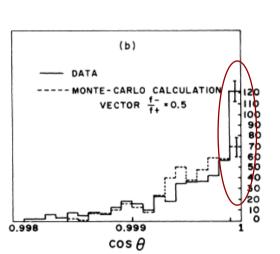


FIG. 2. (a) Experimental distribution in  $m^*$  compared with Monte Carlo calculation. The calculated distribution is normalized to the total number of observed events. (b) Angular distribution of those even in the range  $490 < m^* < 510$  MeV. The calculated curv is normalized to the number of events in the complete sample.

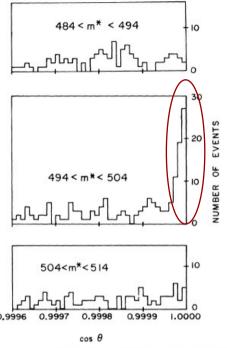


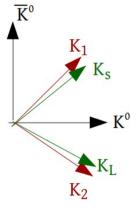
FIG. 3. Angular distribution in three mass ranges for events with  $\cos\theta > 0.9995$ .

After subtraction of background,  $45 \pm 10$  events are observed in the forward peak at the  $K^0$  mass. We estimate that ~10 events can be expected from coherent regeneration. The number of events remaining (35) is entirely consistent with the decay data when the relative target volumes and integrated beam intensities are taken into account. This number is substantially smaller (by more than a factor of 15) than one would expect on the basis of the data of Adair et al.<sup>4</sup>

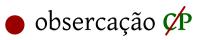
We would conclude therefore that  $K_2^0$  decays to two pions with a <u>branching ratio</u>  $R = (K_2 - \pi^+ + \pi^-)/(K_2^0 - \text{all charged modes}) = (2.0 \pm 0.4) \times 10^{-3}$  where the error is the standard deviation.

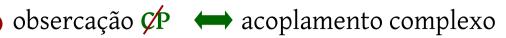
The presence of a two-pion decay mode implies that the  $K_2^0$  meson is not a pure eigenstate of CP. Expressed as  $K_2^0 = 2^{-1/2}[(K_0 - \overline{K}_0) + \epsilon (K_0 + \overline{K}_0)]$ 

 $|\epsilon| \cong 2.3 \times 10^{-3}$ 



6 meses depois o resultado foi confirmado por outro experimento



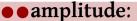


Jussara Miranda Salvador, BA, out/18 requer interferência!!



CP atua nos campos: 
$$\phi_i \phi_j \implies \phi_i^{\dagger} \phi_j^{\dagger}$$

**CP** é uma simetria do sistema se 
$$g_{ii} = g_{ij}^*$$



$$A = |A_1| e^{i\phi} + |A_2| e^{i\alpha}$$



$$\overline{A} = |A_1| e^{-i\phi} + |A_2| e^{i\alpha}$$

observável:

$$|\overline{A}|^2 = |A_1|^2 + |A_2|^2 + 2|A_1||A_2|\cos(\alpha + \phi)$$

$$|A|^2 = |A_1|^2 + |A_2|^2 + 2|A_1||A_2|\cos(\alpha - \phi)$$

### 🗭 pode ser observada de diversas formas:

(A) 
$$\frac{P}{f}$$
  $\left| \begin{array}{c} \frac{P}{f} \\ \frac{P}{f} \end{array} \right|^2$  (A)  $\frac{P}{f}$  direct sem presença de mixing: mésons carregados

(B) 
$$\not \in P$$
 no mixing.  $P^0, \overline{P}^0 \rightarrow l^{\pm} X$ 

(C) 
$$\not \in P$$
 no termo de interferência.  $B^0, \overline{B}{}^0 \to J/\psi K_s$ 

(B) 
$$\left| \begin{array}{c|c} P & \overline{P} \\ \hline \end{array} \right|^2 \pm \left| \begin{array}{c|c} \overline{P} & P \\ \hline \end{array} \right|^2$$

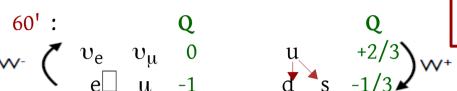
no 
$$K_L \rightarrow \pi \square \pi \square$$
, (B) e (C) contribuem

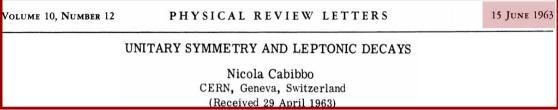
todas as possíveis formas de manifestação de 🗭 já foram observadas



ângulo de mistura  $\theta_c$ 

Cabibbo Kobayashi Maskawa

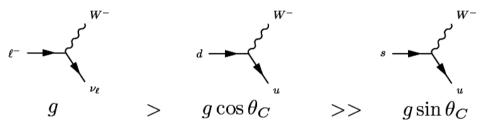




para unificar as interações fracas nos setores

decaimento observadas, Cabibbo introduziu o

de quarks e lepton e acomodar as taxas de



To determine  $\theta$ , let us compare the rates for  $K^+ \rightarrow \mu^+ + \nu$  and  $\pi^+ \rightarrow \mu^+ + \nu$ ; we find

$$\Gamma(K^{+} \to \mu \nu) / \Gamma(\pi^{+} \to \mu \nu)$$

$$= \tan^{2}\theta M_{K} (1 - M_{\mu}^{2} / M_{K}^{2})^{2} / M_{\pi} (1 - M_{\mu}^{2} / M_{\pi}^{2})^{2}. (3)$$

From the experimental data, we then get5,6

$$\theta = 0.257. \tag{4}$$

$$\theta = 0.257. \tag{4}$$

$$\begin{array}{lll} p \rightarrow ne^+ v_e \ (^{14}{\rm O}) & u \rightarrow de^+ v_e & G^2 \cos^2 \theta_C \\ \pi^- \rightarrow \pi^0 e^- \bar{v}_e & d \rightarrow ue^- \bar{v}_e & G^2 \cos^2 \theta_C \\ K^- \rightarrow \pi^0 e^- \bar{v}_e & s \rightarrow ue^- \bar{v}_e & G^2 \sin^2 \theta_C \end{array}$$

universalidade das interações fracas

$$e^{-\frac{1}{2}} \left\{ \begin{array}{c} d\cos\theta_C + s\sin\theta_C \\ \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \right\} = \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\ \\ \\ \\ \end{array} \right\} \left\{ \begin{array}{c} \\ \\$$

no setor leptônico não há mistura de famílias



#### Cabibbo Kobayashi Maskawa

- KM propoem a extensão no esquema de Cabibbo para acomodar P.
- acoplamento complexo requer uma matriz de mistura 3X3.

**KM** propoem uma terceira família no setor de quarks‡ antes da segunda estar "completa"†.

Progress of Theoretical Physics, Vol. 49, No. 2, February 1973

## CP-Violation in the Renormalizable Theory of Weak Interaction

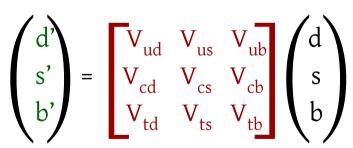
Makoto KOBAYASHI and Toshihide MASKAWA

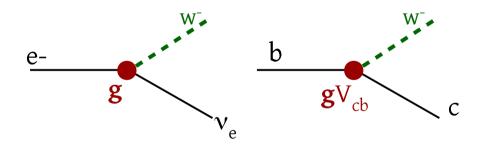
Department of Physics, Kyoto University, Kyoto

(Received September 1, 1972)

$$\binom{\nu_e}{e^-} \binom{\nu_\mu}{\mu^-} \binom{\nu_\tau}{\tau} \quad \binom{u}{d'} \binom{c}{s'} \binom{t}{b'} \quad \Longrightarrow \quad$$

dubletos da interação fraca (Iw=1/2)





V<sub>CKM</sub>
Nobel 2008



†quark c proposto por G.I.M. (1970). J/ $\psi$  (cc)observado em novembro/1974 ‡terceira família: Y(bb) observado em 1977 e o quark t em 1994



#### Cabibbo Kobayashi Maskawa

- $\bullet$  matriz complexa N X N  $\Longrightarrow$  2N<sup>2</sup> parâmetros  $\lor$  CKM N=3
- Vínculos: unitariedade:  $V^{*T}V = I \longrightarrow N^2$  vínculos fases arbitárias:

 $|q_j\rangle \rightarrow e^{-\phi_j}|q_j\rangle$   $\implies$  2N-1 fases irrelevantes

parâmetros independentes: N²-2N-1

V<sub>CKM</sub>: 4 parâmetros → 3 ângulos + 1 fase complexa irredutível

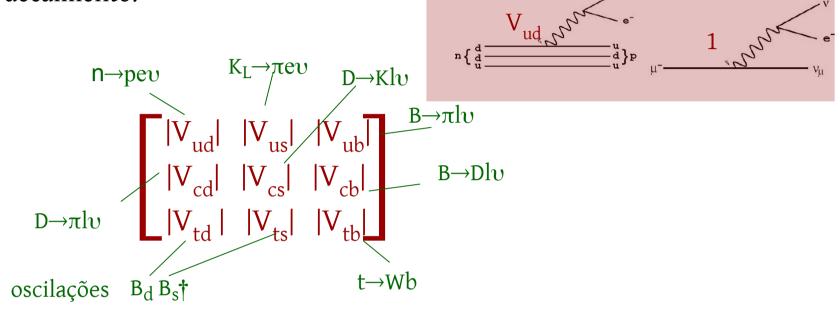
### precisamos verificar se este esquema faz sentido!

na verdade os elementos da matriz CKM podem ser medidos de diversas formas. a comparação dos resultados servem como **verificação** do esquema e/ou fazer **previsões** 

# CP: no modelo padrão •• CKM

Jussara Miranda A Salvador, BA, out/18

magnitudes são obtidas comparando taxas de decaimento:



$$V_{\text{CKM}} = \begin{pmatrix} 0.97427 \pm 0.00015 & 0.22534 \pm 0.00065 & 0.00351^{+0.00015}_{-0.00014} \\ 0.22520 \pm 0.00065 & 0.97344 \pm 0.00016 & 0.0412^{+0.0011}_{-0.0005} \\ 0.00867^{+0.00029}_{-0.00031} & 0.0404^{+0.0011}_{-0.0005} & 0.999146^{+0.000021}_{-0.000046} \end{pmatrix}$$

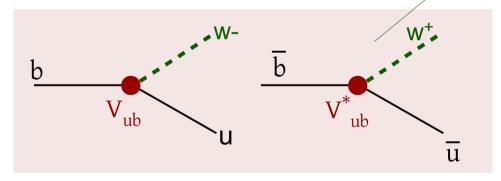
† não se pode medir por taxa de decaimento pq sento t muito pesado não chega a hadronizar



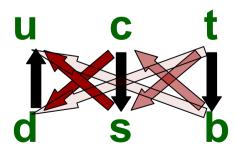


- Wolfenstein: parametrização conveniente baseada na hierarquia das transições:
  - •• CKM escrita como expansão em  $\lambda = \sin \theta_c$

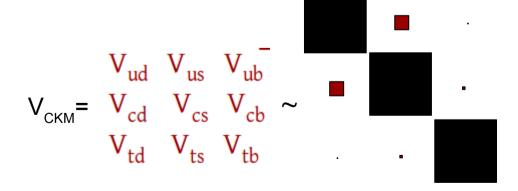
$$V_{\text{CKM}} = \begin{pmatrix} 1 - \lambda^2/2 & \lambda & \lambda & \lambda^3(\rho - i\eta) \\ -\lambda & 1 - \lambda^2/2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix} + \mathcal{O}(\lambda^4).$$



os menores acoplamentos são os **complexos** espera-se **CP** um efeito pequeno!



acoplamento por geração  $1^{\text{st}}$  to  $2^{\text{nd}} \sim \lambda$   $2^{\text{nd}}$   $3^{\text{rd}} \sim \lambda^2$   $1^{\text{st}}$  to  $3^{\text{rd}} \sim \lambda^3$ 

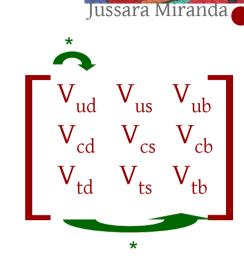


#### relações de unitariedade

$$V^{*T}V = I \iff \sum_{j} V_{ij} V^{*}_{jk} = \delta_{ik}$$

• dentro de cada linha ou (coluna)

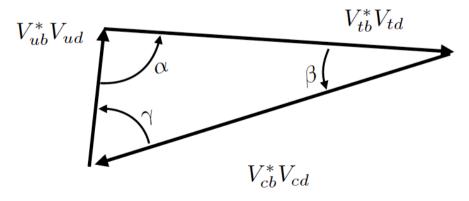
$$|V_{ud}|^2 + |V_{cd}|^2 + |V_{td}|^2 = 1$$
  
 $|V_{us}|^2 + |V_{cs}|^2 + |V_{ts}|^2 = 1$   
 $|V_{ub}|^2 + |V_{cb}|^2 + |V_{tb}|^2 = 1$ 



• entre colunas diferentest:

$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0 \implies \sim O(\lambda^3) + O(\lambda^3) + O(\lambda^3)$$
 produz um triângulo de lados

3 números complexos cuja soma é nula 📥 triângulo no plano complexo



$$\alpha = \arg\left(-\frac{V_{tb}^* V_{td}}{V_{ub}^* V_{ud}}\right)$$

$$\gamma = \arg\left(-\frac{V_{ub}^* V_{ud}}{V_{cb}^* V_{cd}}\right)$$

$$\beta = \arg\left(-\frac{V_{cb}^* V_{cd}}{V_{cb}^* V_{cd}}\right)$$

esta combinação particular ) produz um triângulo de lados ~equivalentes associados ao Bº

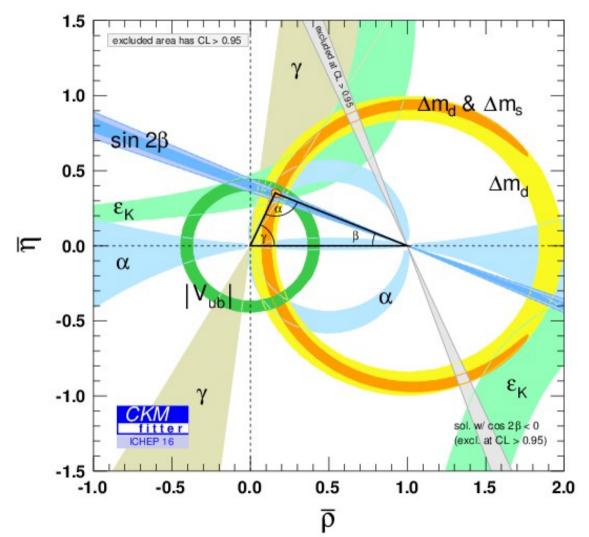
Salvador, BA, out/18

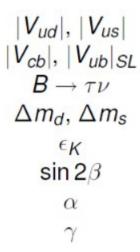
o triângulo 'sd' associado ao  $K^0 \acute{e} \sim \mathcal{O}(\lambda) + \mathcal{O}(\lambda) + \mathcal{O}(\lambda^5)$ 

os ângulos internos estão associados à 🗭







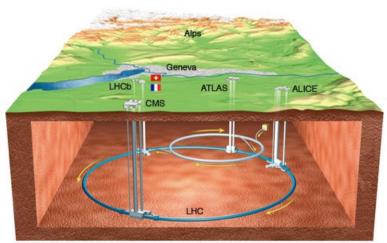


#### parametrização de Wolfenstein

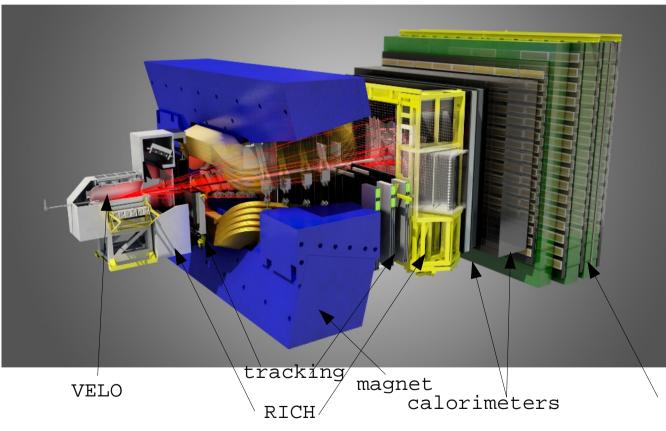
Observable	± 2 σ
A	0.825 [+0.014 -0.027]
λ	0.22509 [+0.00059 -0.00058]
pbar	0.160 [+0.024 -0.014]
ηbar	0.350 [+0.015 -0.015]

# $CP: B^{\pm} \rightarrow hhh(h=K^{\pm},\pi^{\pm}) \text{ no } LHCb$

- LHCb: um dos quatro experimetos LHC (run1 pp @ ~7 TeV) Jussara Miranda Salvador, BA, out/18  $\bullet$   $\bullet$   $L = 3 \text{fb}^{-1} (2011/2012)$
- objetivo principal: física dos sabores e 🕫 ➡otimizado para mésons B (e D)● •alta estatística
- participação brasileira: CBPF, UFRJ, PUC-Rio, UFTM







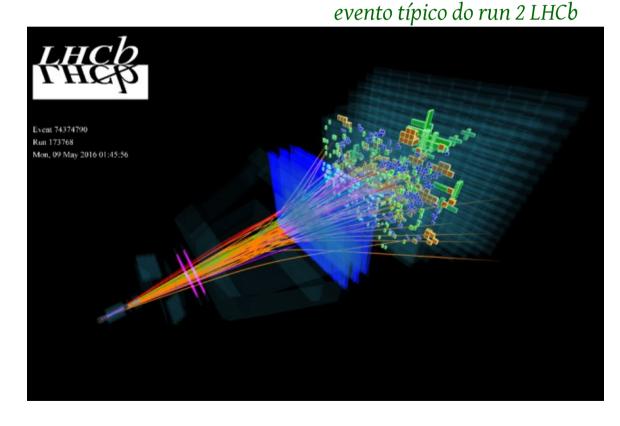


- E= $mc^2$ •• m=m0y•• γ=  $1/\sqrt{(1-v^2/c^2)}$
- numa colisão: E m

uma infinidade de partículas† são criadas e decaem para outras mais estáveis que deixam rastro nos detetores

- tipicamente podemos observar:  $K^{\pm} p^{\pm} \pi^{\pm} e^{\pm} \mu^{\pm} \gamma$
- "observar"‡: posição (traço; vértice)
   momento,
   carga,
   identidade

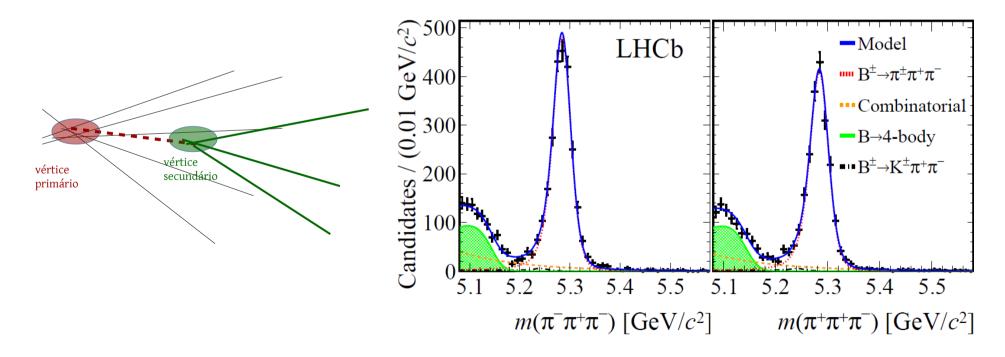
a cada colisão produz-se (em tempo real) uma lista de partículas observadas para definir se são **potencialmente interessantes** 



†todas as partículas de "interesse" não chegam aos detetores, as "reconstruimos" a partir do produto de seus decaime \$\mathbb{Z}\$ be \$\pm\$ medir com uma probablilidade ou erro

Jussara Miranda Salvador, BA, out/18

- quadrimomento: p=(E/c,p)
- massa invariante:  $m^2c^2=p^2=E^2/c^2-p^2$
- $M \rightarrow m_1, m_2 \bullet \bullet M^2 = (E_1 + E_2)^2 |\mathbf{p}_1 + \mathbf{p}_2|^2$
- observação do sinal de interesse (B→ hhh): massa invariante da combinação de 3 traços carregados + critérios de seleção† para eliminar combinações espúrias (background)



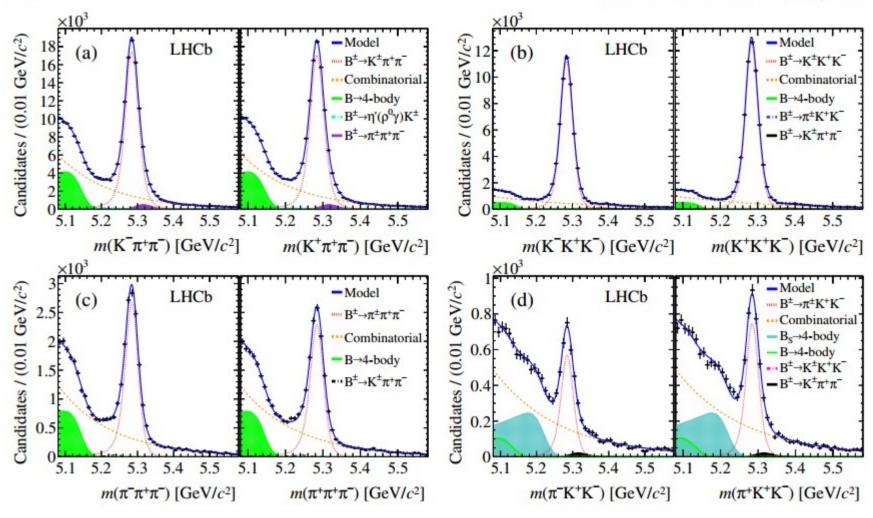
assimetria total CP

et al.

$$A_{CP} \equiv \frac{\Gamma[B^- \to f^-] - \Gamma[B^+ \to f^+]}{\Gamma[B^- \to f^-] + \Gamma[B^+ \to f^+]},$$

Jussara Miranda Salvador,BA,out/18

PHYSICAL REVIEW D 90, 112004 (2014)

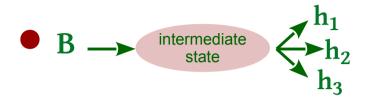


$$A_{CP}(B^{\pm} \to K^{\pm}\pi^{+}\pi^{-}) = +0.025 \pm 0.004 \pm 0.004 \pm 0.007, \quad A_{CP}(B^{\pm} \to \pi^{\pm}\pi^{+}\pi^{-}) = +0.058 \pm 0.008 \pm 0.009 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.036 \pm 0.004 \pm 0.002 \pm 0.007, \quad A_{CP}(B^{\pm} \to \pi^{\pm}K^{+}K^{-}) = -0.123 \pm 0.017 \pm 0.012 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.123 \pm 0.017 \pm 0.012 \pm 0.007, \quad A_{CP}(B^{\pm} \to \pi^{\pm}K^{+}K^{-}) = -0.123 \pm 0.017 \pm 0.012 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.036 \pm 0.004 \pm 0.002 \pm 0.007, \quad A_{CP}(B^{\pm} \to \pi^{\pm}K^{+}K^{-}) = -0.123 \pm 0.017 \pm 0.012 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.036 \pm 0.004 \pm 0.002 \pm 0.007, \quad A_{CP}(B^{\pm} \to \pi^{\pm}K^{+}K^{-}) = -0.123 \pm 0.017 \pm 0.012 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.036 \pm 0.004 \pm 0.002 \pm 0.007, \quad A_{CP}(B^{\pm} \to \pi^{\pm}K^{+}K^{-}) = -0.123 \pm 0.017 \pm 0.012 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.036 \pm 0.004 \pm 0.002 \pm 0.007, \quad A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.123 \pm 0.017 \pm 0.012 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.036 \pm 0.004 \pm 0.002 \pm 0.007, \quad A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.0123 \pm 0.0017 \pm 0.0012 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.0123 \pm 0.0017 \pm 0.0012 \pm 0.007, \quad A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.0123 \pm 0.0017 \pm 0.0012 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.0123 \pm 0.0017 \pm 0.0012 \pm 0.007, \\ A_{CP}(B^{\pm} \to K^{\pm}K^{+}K^{-}) = -0.0123 \pm 0.0017 \pm 0.0012 \pm 0.0$$

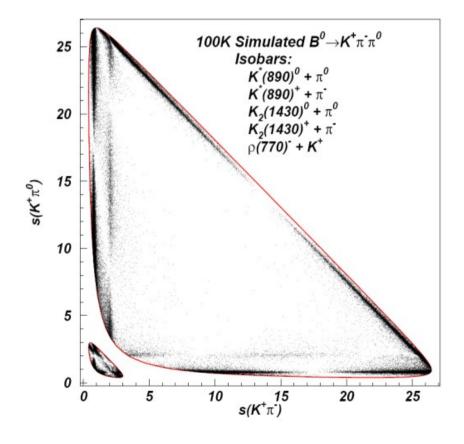








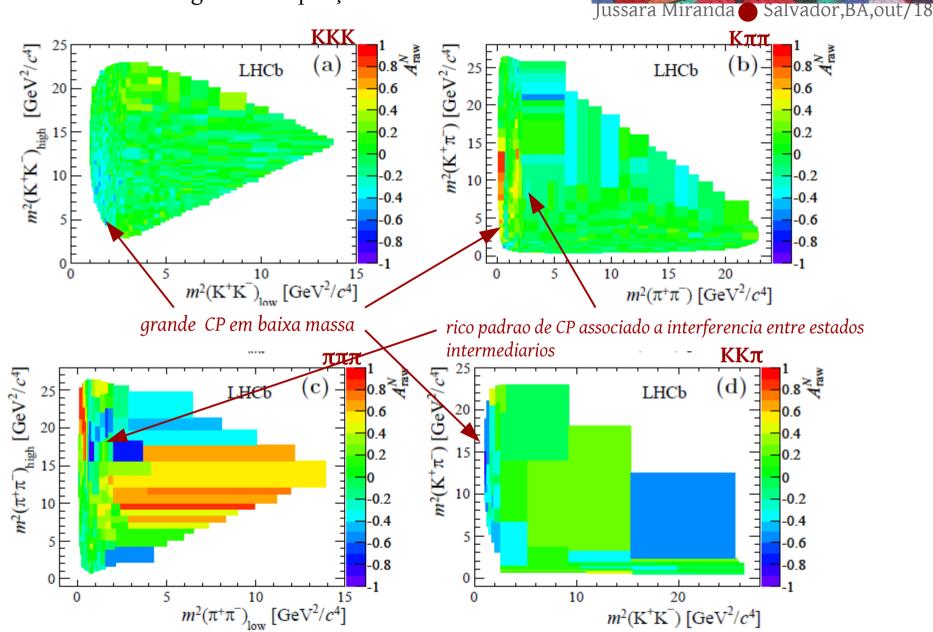
- •• sistema com dois graus de liberdade:  $m_{12}^2 \times m_{23}^2$
- DALITZ PLOT : m²₁₂ X m²₂₃ é o espaço de fase do decaimento em 3 corpos
  - "retrato" do decaimeto



•  $d\Gamma(m_{12}^2, m_{23}^2) \propto |\mathbf{A}|^2 dm_{12}^2 dm_{23}^2$ 

# CP: B±→hhh no LHCb

medir a assimetria em regiões no espacço de fase....



podemos elaborar ainda mais propondo um modelo de amplitude...

# conclusões

