

Examples of oscillation symmetry
in hadronic and nuclear masses & widths
and in astrophysics.

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Villa Monastero, 11-15 juin 2018*

Oscillation phenomena

- **In classical physics** : opposite interactions (potential and kinetic) generate oscillations (pendulum, spring, ...).
- **In quantum physics** : Schrodinger equations solved with potential and kinetic interactions

Eventual oscillations are studied on masses with

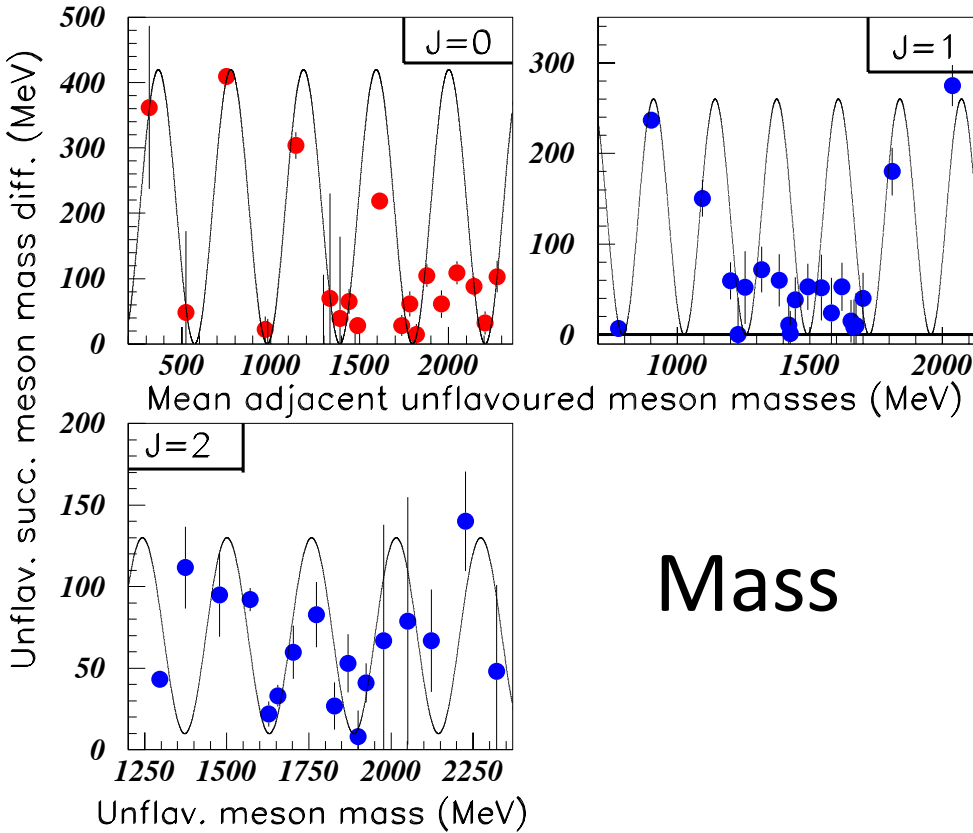
$$m_{n+1} - m_n = f[(m_{n+1} + m_n)/2]$$

$$\Gamma_T = f(m)$$

The data are fitted with cosine functions with defined periods

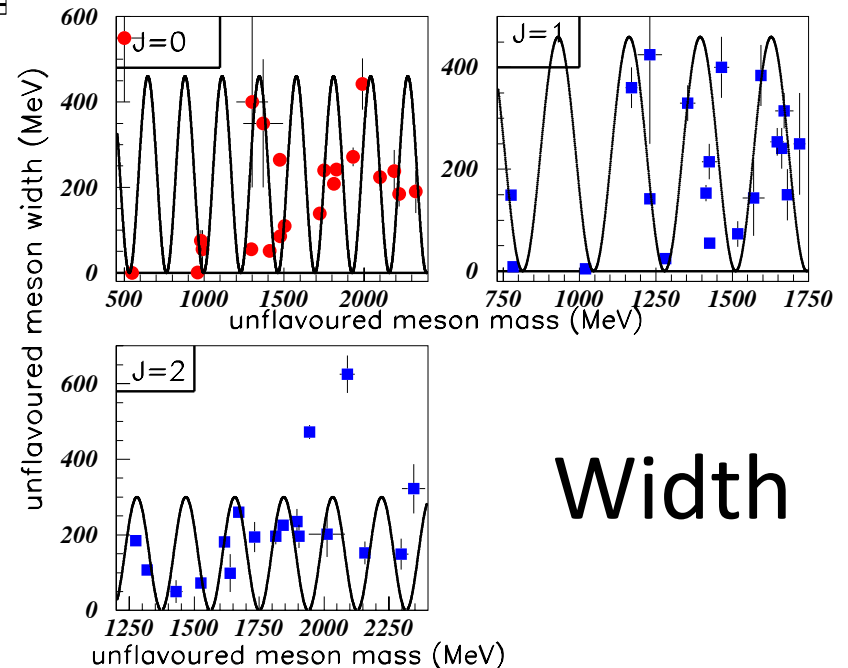
- **In astrophysics**: opposite interactions (gravitational and centrifugal related to the kinetic energy).

Unflavored mesons (I)



Successive mass difference versus mean (MeV)

Mass



Width

C. Patrignani *et al.* (**Particle Data Group**) *Chin. Phys.* **C40**,100001 (2017).

B. Tatischeff, *Systematics of oscillatory behavior in hadronic masses and widths*, arXiv: 1603.05505v2 [hep-ph] (2016).

B. Tatischeff, *Variation of Hadronic and Nuclei Mass Level Oscillation Periods for Different Spins*, *Journal of Particle Physics* **1**, 13 (2017).

Unflavored mesons(II)

F_0 - meson

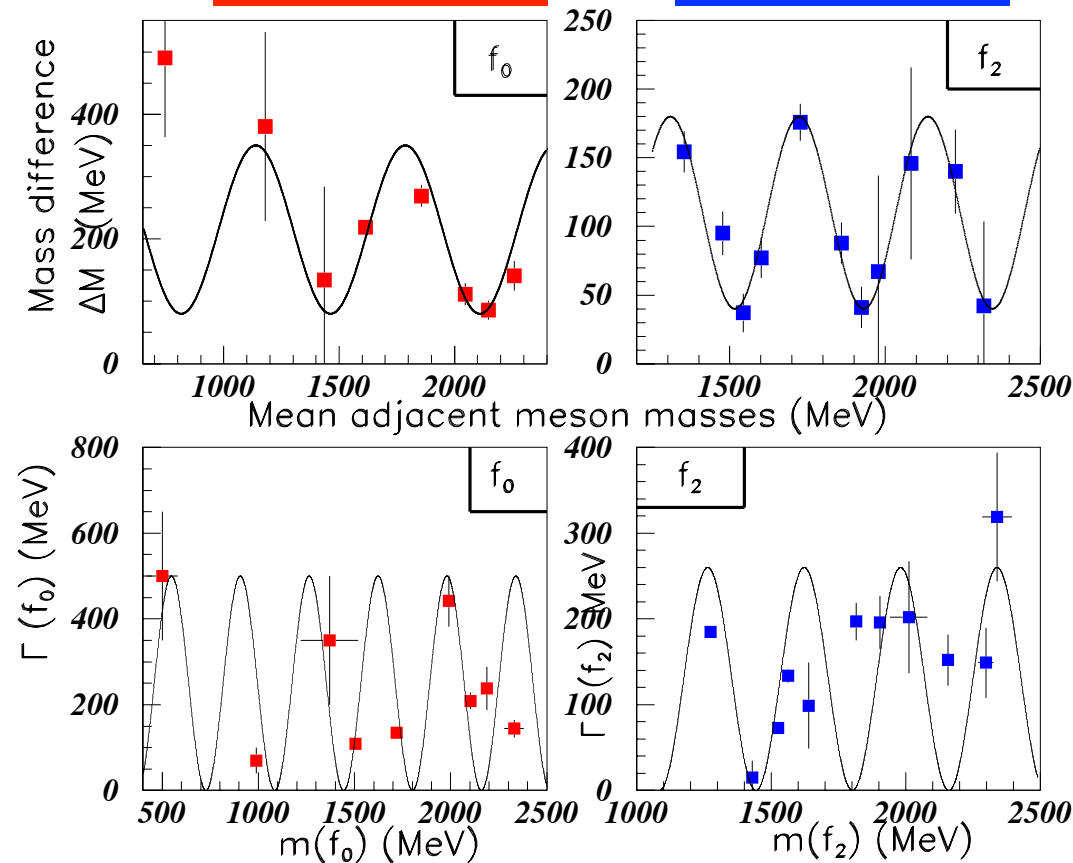
F_2 - meson

Successive mass difference
versus mean adjacent masses (MeV)

Mass

Width versus mass

Width

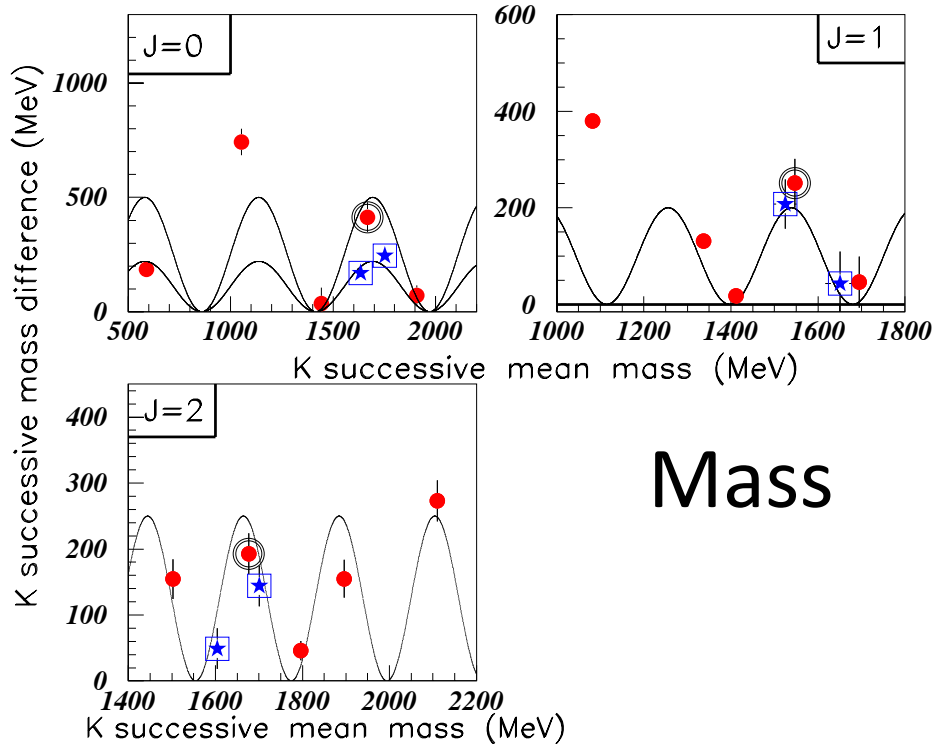


C. Patrignani *et al.* (Particle Data Group) Chin. Phys. **C40**,100001 (2017).

B. Tatischeff, *Systematics of oscillatory behavior in hadronic masses and widths*, arXiv: 1603.05505v2 [hep-ph] (2016).

B. Tatischeff, *Variation of Hadronic and Nuclei Mass Level Oscillation Periods for Different Spins*, Journal of Particle Physics **1**, 13 (2017).

Strange mesons (K, K*)

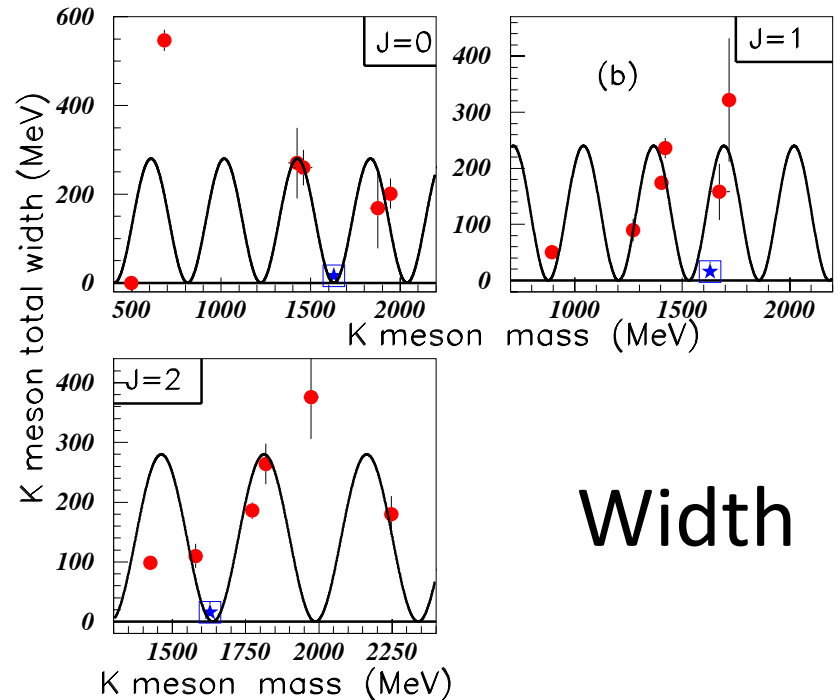


Mass

Tentative prediction of the K(1630) spin:

J=0 excluded

J=1 or 2 favored



Width

Successive mass difference
versus mean adjacent masses (MeV)

Width versus mass

C. Patrignani *et al.* (**Particle Data Group**) Chin. Phys. **C40**, 100001 (2017).

B. Tatischeff, *Systematics of oscillatory behavior in hadronic masses and widths*, arXiv: 1603.05505v2 [hep-ph] (2016).

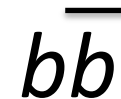
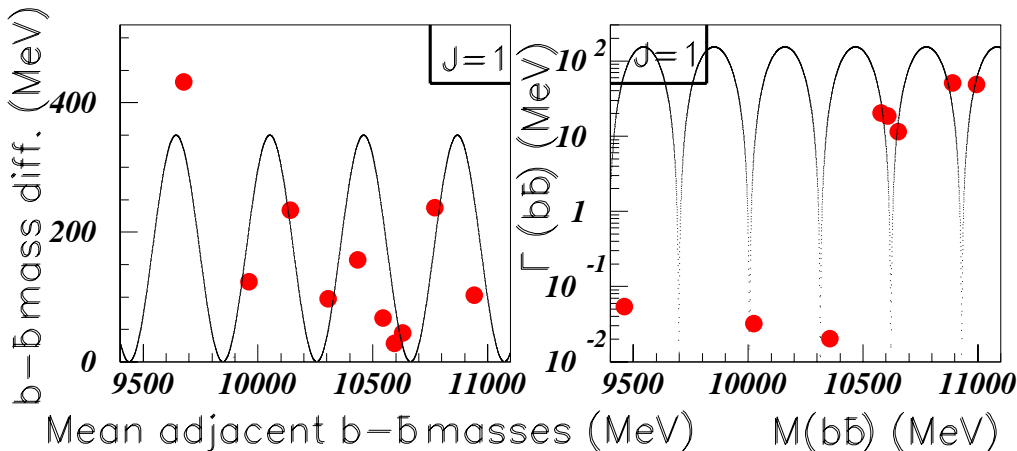
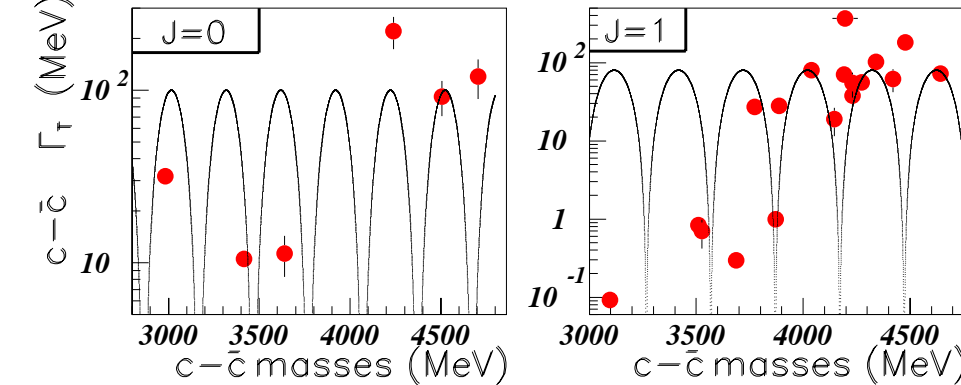
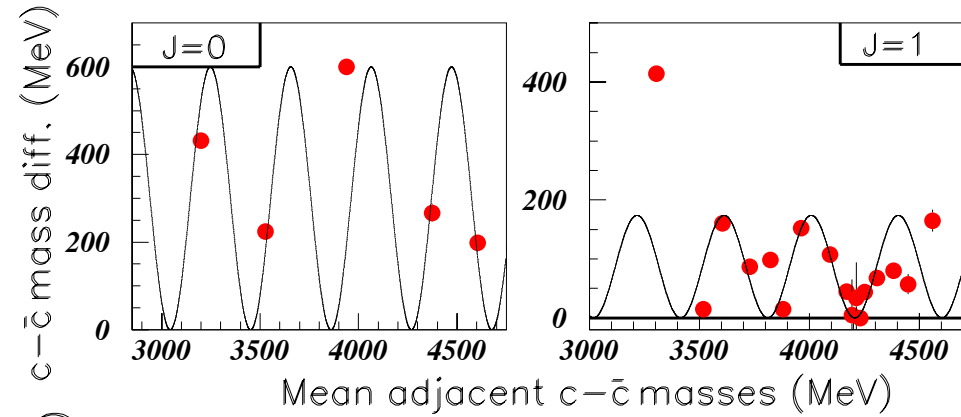
B. Tatischeff, *Variation of Hadronic and Nuclei Mass Level Oscillation Periods for Different Spins*, Journal of Particle Physics **1**, 13 (2017).

Charmoniums, Bottomoniums

Mass & Width

Successive mass difference versus mean adjacent masses (MeV)

Width versus mass

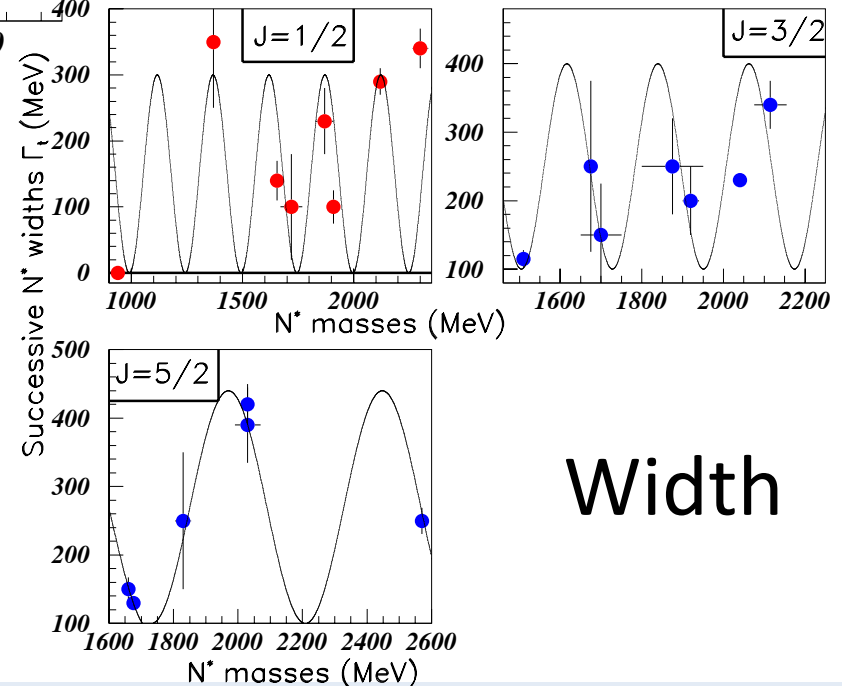
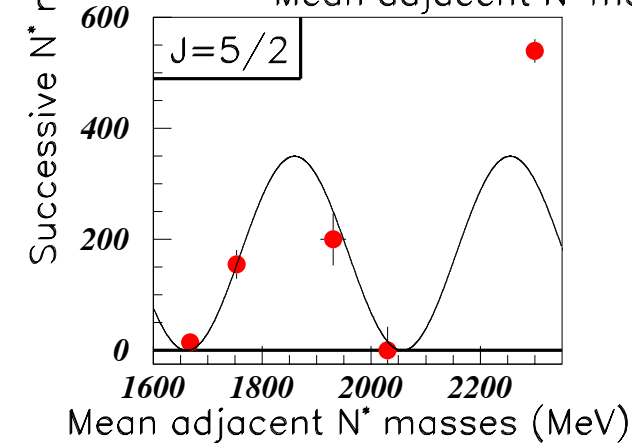
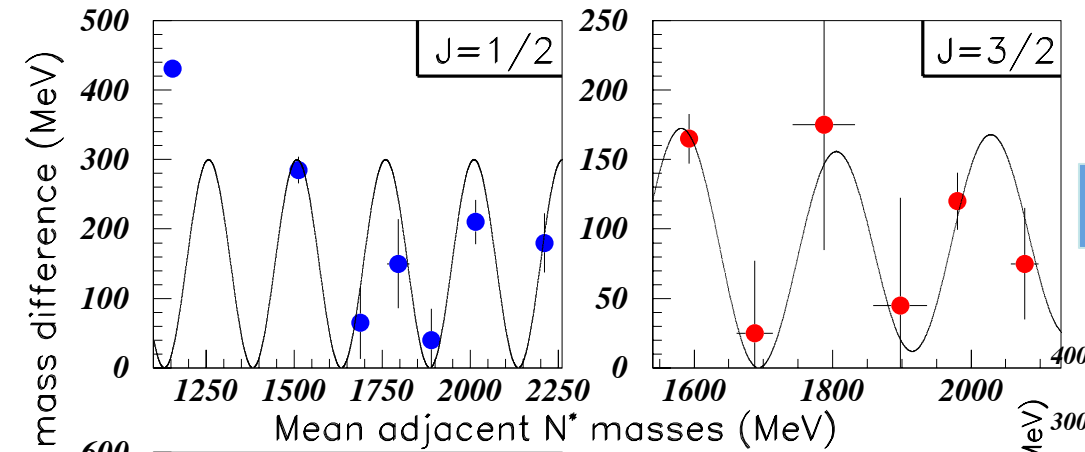


N* baryons

Width versus mass

Mass

Width



Successive mass difference
versus mean adjacent masses (MeV)

C. Patrignani *et al.* (**Particle Data Group**) Chin. Phys. **C40**,100001 (2017).

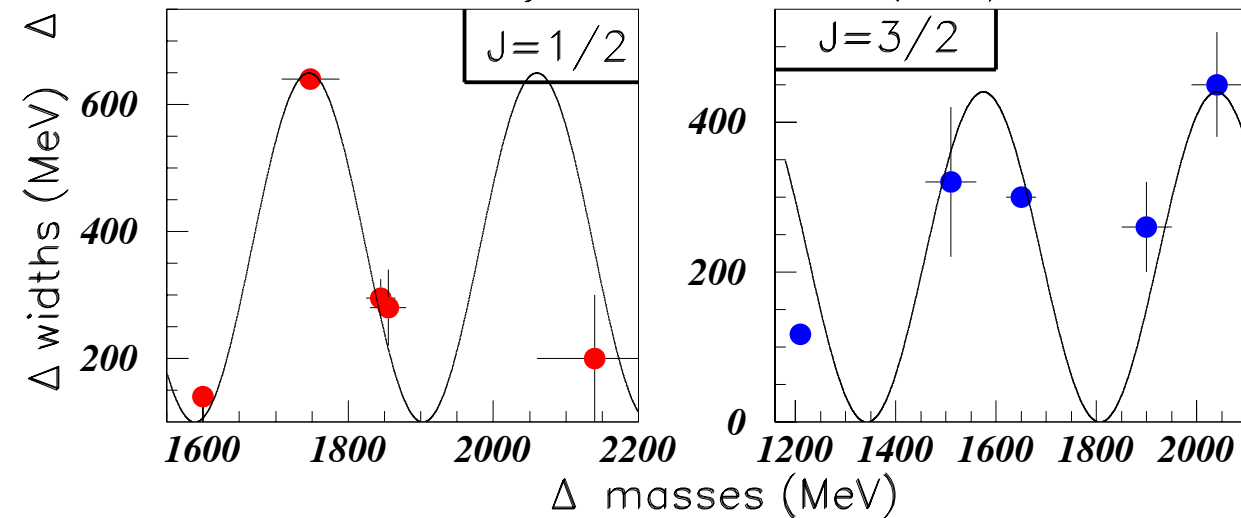
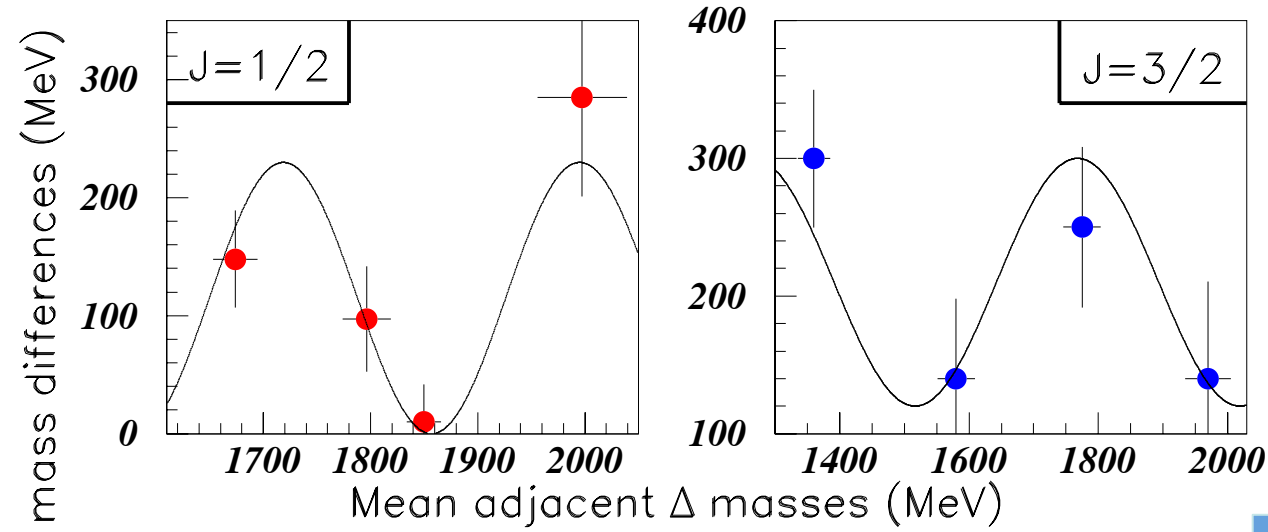
B. Tatischeff, *Systematics of oscillatory behavior in hadronic masses and widths*, arXiv: 1603.05505v2 [hep-ph] (2016).

B. Tatischeff, *Variation of Hadronic and Nuclei Mass Level Oscillation Periods for Different Spins*, Journal of Particle Physics **1**, 13 (2017).

Δ^* baryons

Successive mass difference versus mean adjacent masses (MeV)

Width versus mass

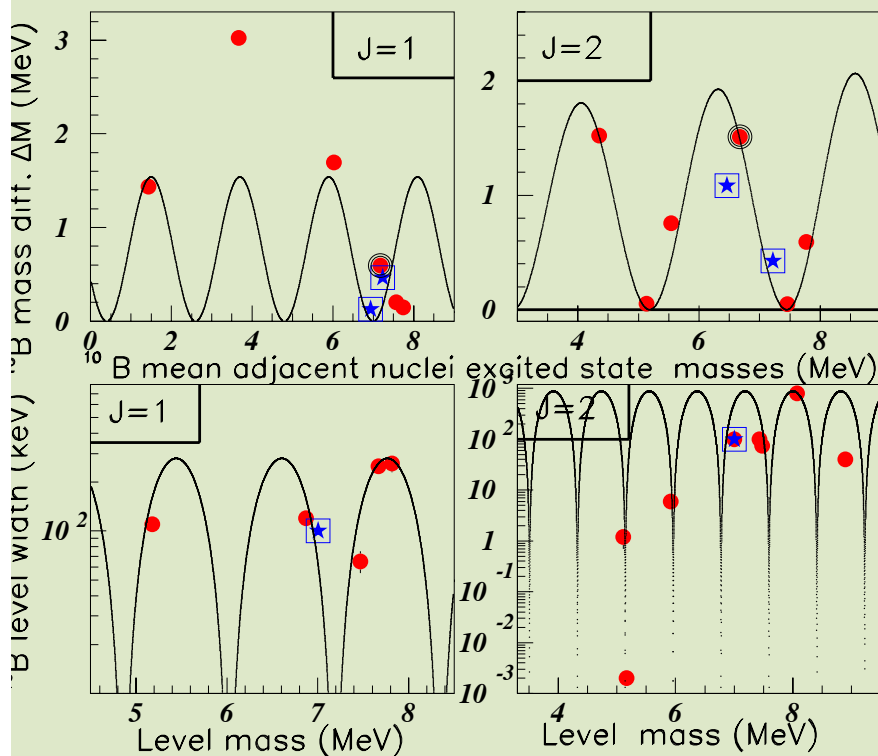


$J=1/2$

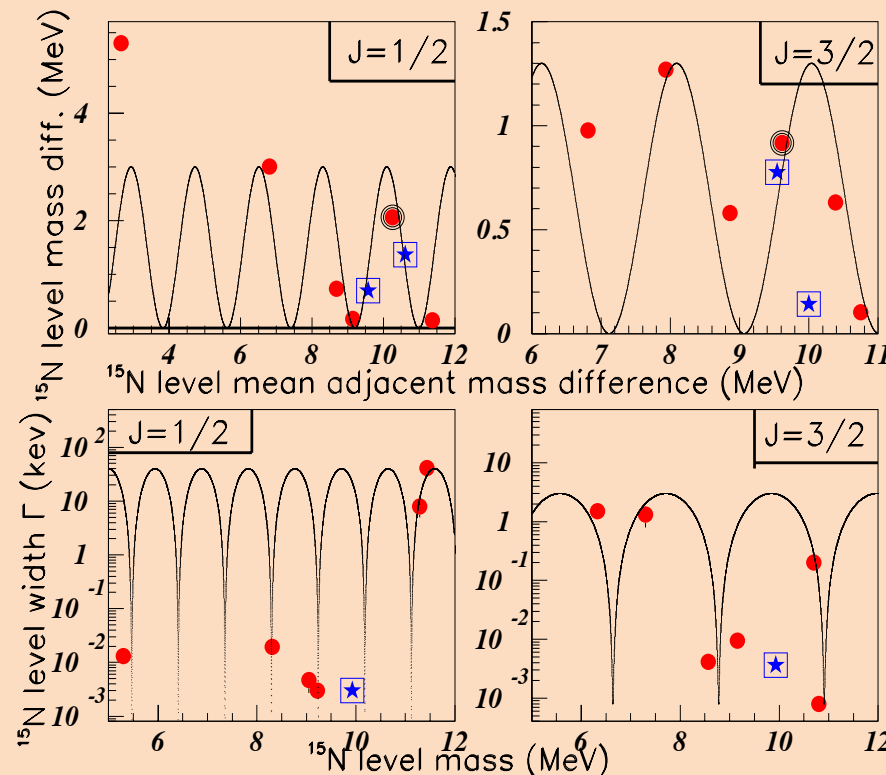
$J=3/2$

^{10}B and ^{15}N nuclei

Mass
Width



^{10}B $J=1$ $J=2$
 $M=7.002$ MeV; $J=1$ preferred



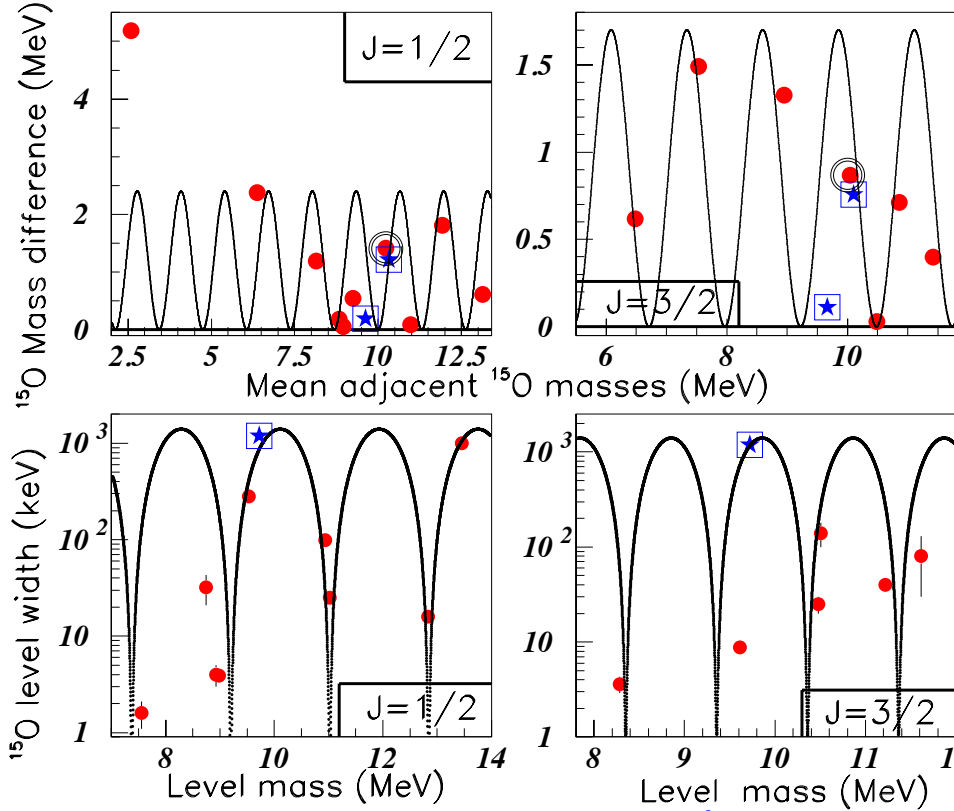
^{15}N $J=1/2$ $J=3/2$
 $M=9.928$ MeV; $J=1/2$ assigned

F. Ajzenberg-Selove, Energy Levels of Light Nuclei $A=5-10$, Nucl. Phys. **A320**, 153 (1979).

F. Ajzenberg-Selove, Energy Levels of Light Nuclei $A=13-15$, Nucl. Phys. **A268**, 150 (1976).

B. Tatischeff, Variation of Hadronic and Nuclei Mass Level Oscillation Periods for Different Spins, Journal of Particle Physics **1**, 13 (2017).

^{15}O



Mass

Width

$M=9.72 \text{ MeV } (1/2, 3/2)^+ \quad \Gamma=1185 \pm 50 \text{ keV}$

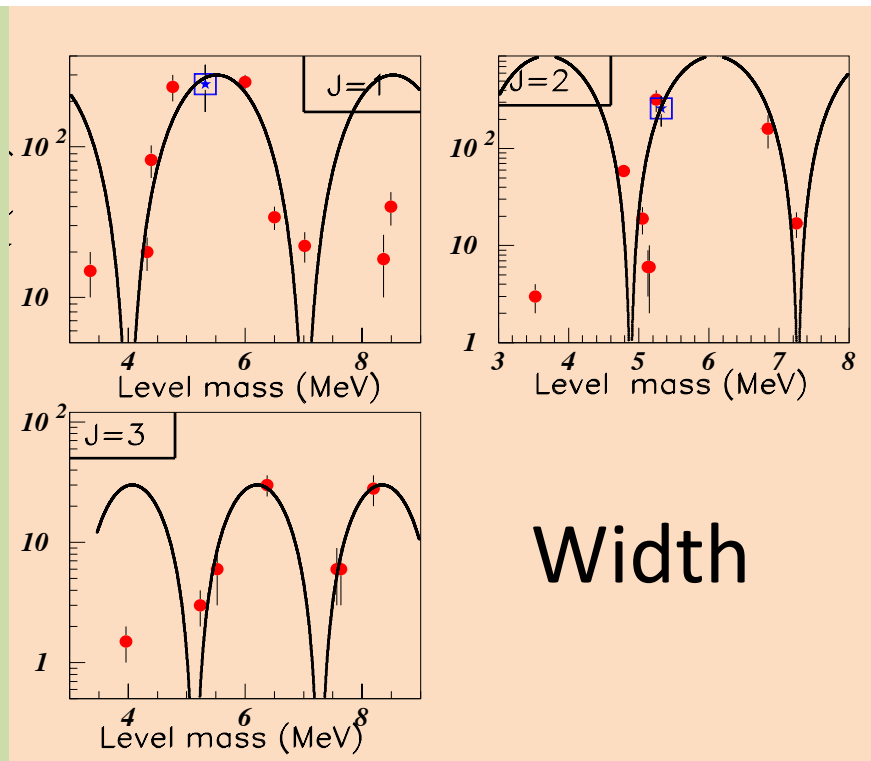
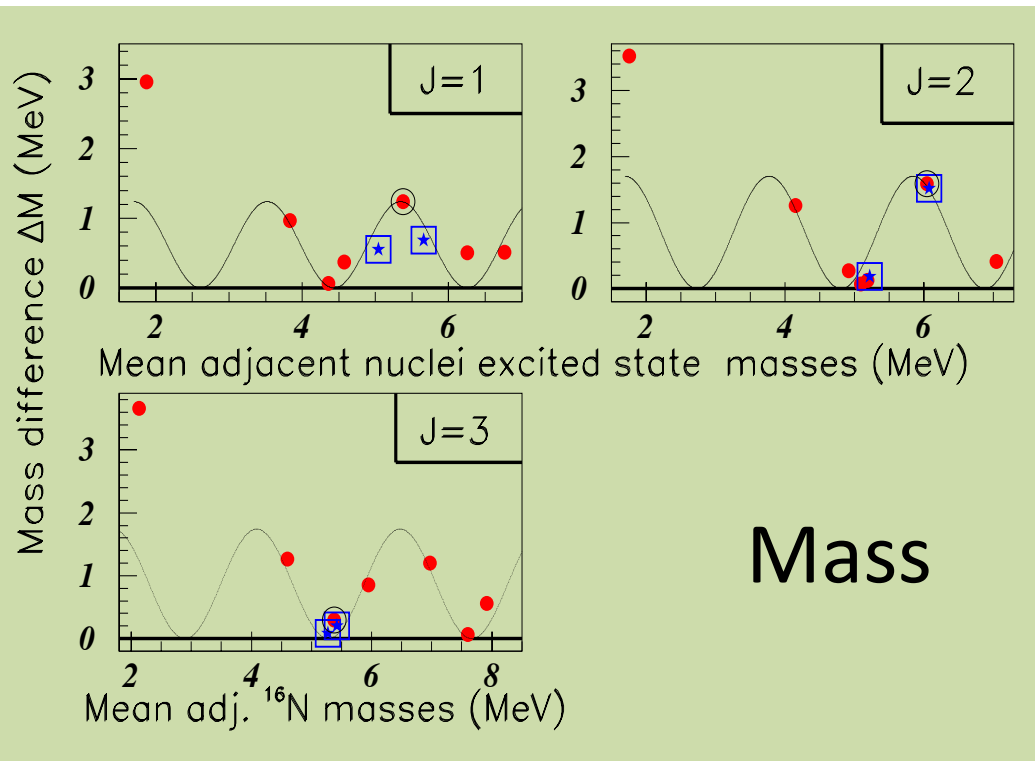
Preferred $J=1/2$

The state is included in the mass figure

F. Ajzenberg-Selove, Energy Levels of Light Nuclei $A=13-15$, Nucl. Phys. **A268**, 150 (1976).

B. Tatischeff, *Variation of Hadronic and Nuclei Mass Level Oscillation Periods for Different Spins*, Journal of Particle Physics **1**, 13 (2017).

^{16}N



$M=5.318\pm 0.03$ MeV, $\Gamma=(260$ keV) Spin (0^+ , 1^+) ?

- only one $J=0$ state below $M=5.318$ MeV
- compatible with $J=1$

D.R. Tilley, H.R. Weller, and C.M. Cheves, *Energy Levels of Light Nuclei A=16*, Nucl. Phys. **A564, 1 (1993).**

B. Tatischeff, *Variation of Hadronic and Nuclei Mass Level Oscillation Periods for Different Spins*, Journal of Particle Physics **1, 13 (2017).**

Results for Hadrons and Nuclei

- **Regular oscillations** observed in particle and nuclei, masses and widths, provided they belong to *the same family and same spin*
- *Simple cosine functions describe the data.*
- *Only periods* are discussed, the oscillation amplitudes are not considered.
- Necessary *condition*: not too small number of data; several data in the same arch.

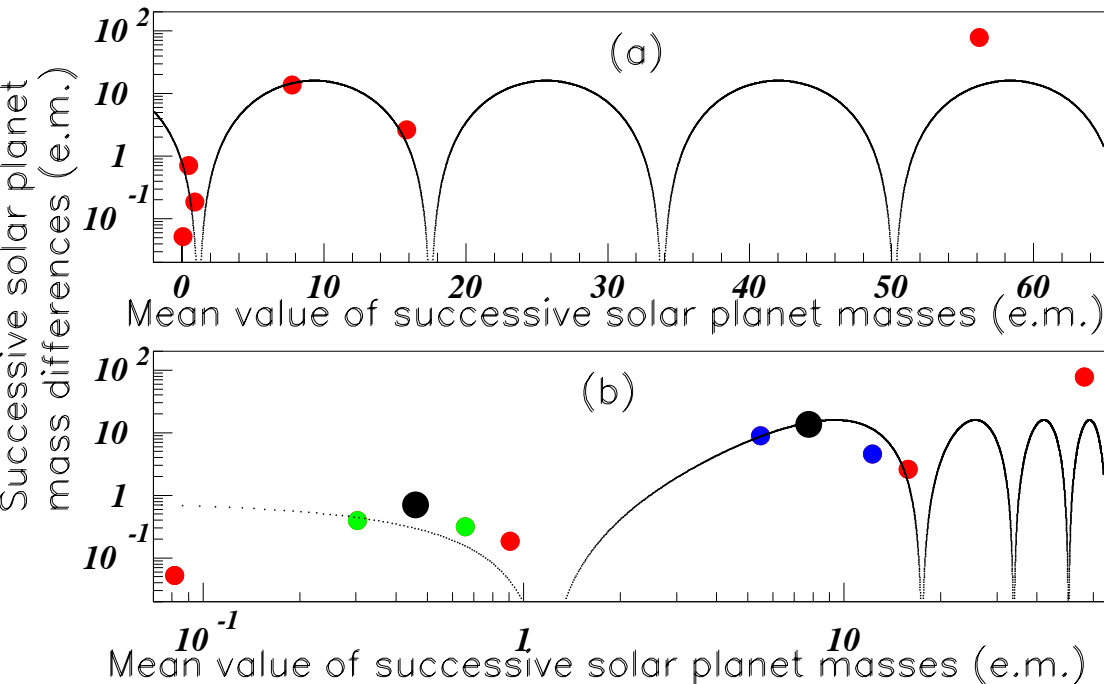
Generalisation

- Every time some object results from several smaller masses, these are submitted to opposite interactions otherwise the composite mass will disintegrate or mix into a totally new object with loss of individual components.
- Verified in quantum physics, like in classical physics, since both result from opposite interactions.
- Let us address ourselves the question to look for the same observation in the **astronomical** world submitted to **centrifugal** forces related to **kinetic** and **gravitational** forces.
- Study possible oscillations in data belonging to different **astronomical scales**.

*B.T. « May the oscillation symmetry be applied to TRAPPIST-1 terrestrial planets to predict the mass of the seventh planet ? »
Phys. and Astron. Int. J. 2018.2(3)-193-197- 29 Mai 2018*

New solar planets ?

- **Possible 9th giant planet :**
 - to explain the strange behaviour of some bodies belonging to the Kuiper's belt;
 - Stabilize several orbits of transneptuniens bodies;
- **Possible 10th planet** allows to understand the abnormal behaviour of Kuiper's beltbodies and the Kuiper's cliff.



Prediction

New possible planets:

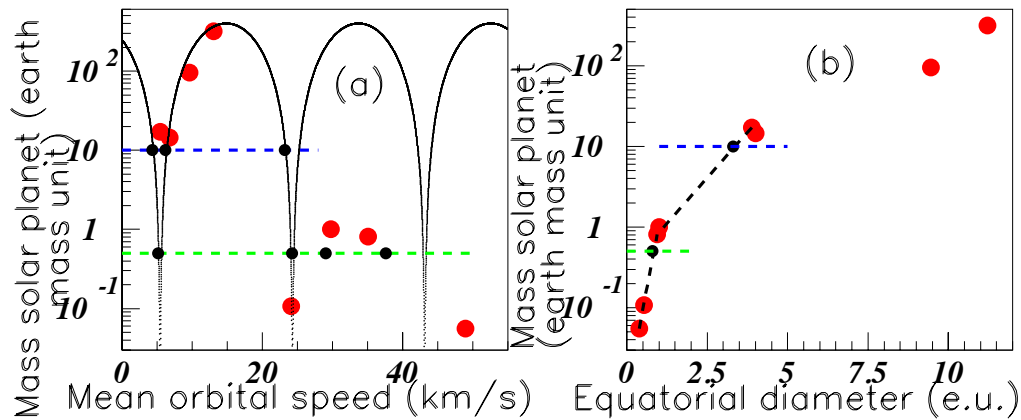
M (9th planet) ≈ 10 earth mass,
M(10th planet) ≈ 0.5 earth mass

<https://en.wikipedia.org/wiki/Planetary-mass>
www.le-systeme-solaire.net
www.astronoo.com/fr/articles/caracteristiques-des-planetes.html
S. Rouat, *Sciences et Avenir*, N°850, 2017, p 42
www.astronomynotes.com/solarsys/plantbla.htm

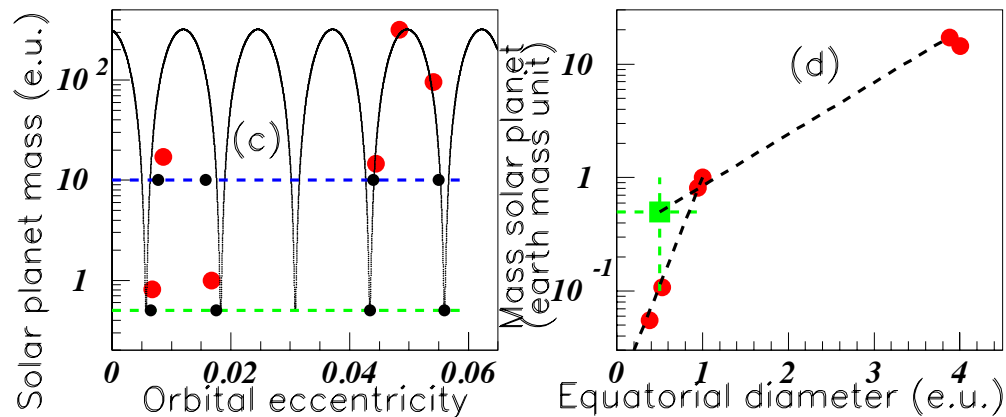
Solar planets by increasing masses (in Earth mass (em)): **Mercury, Mars, Venus, Earth, Uranus, Neptune, Saturn, and (Jupiter).**

Oscillation symmetry predictions on 9th and 10th planets properties

Planet	Mass (e.u.)	mean orb. speed				equat. diam.	orbital eccentricity			
9 (blue)	10*	4.3	6.2	23.2	3.3	0.0077	0.0158	0.044	0.055	
10 (green)	0.5*	5.15	24.2	29	37.6	0.8 (0.5*)	0.065	0.0175	0.0435	0.056



Indications of their
Density, plan tilting,
Rotation duration,
revolution period



Study of solar moons, rings,
Mass of the 7th planet around
TRAPPIST-1 star

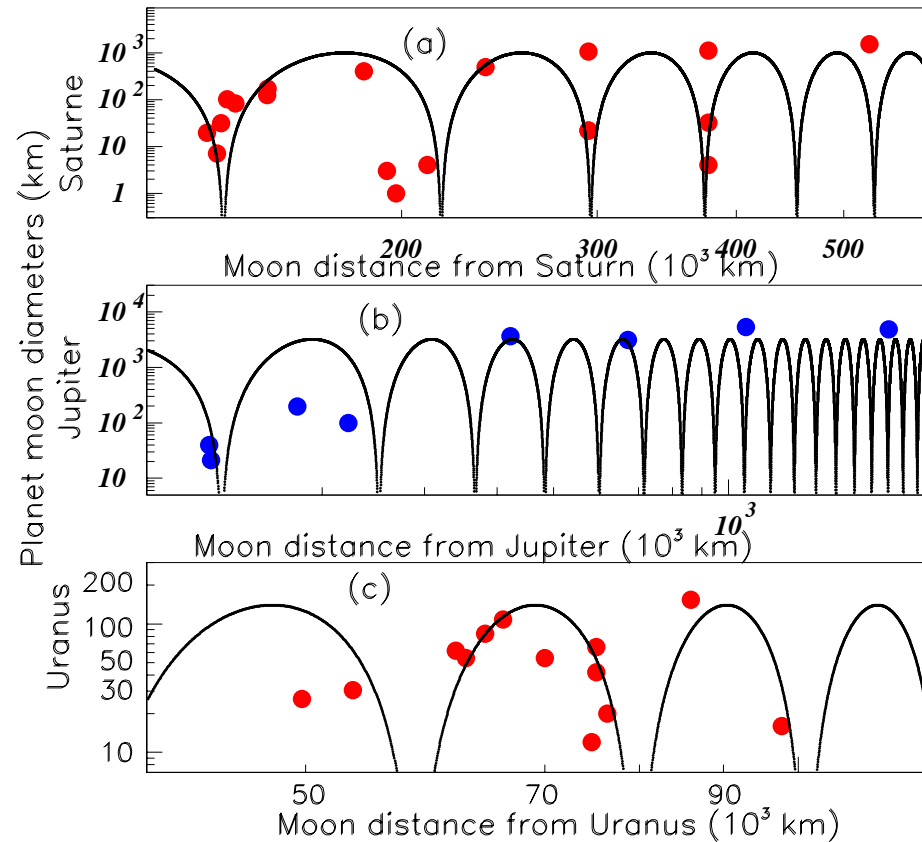
*S. Rouat, A la recherche des planètes neuf et dix
Sciences et Avenir* **850**, 42 (2017)

P. Caughill, Futurism (2017), University of Arizona

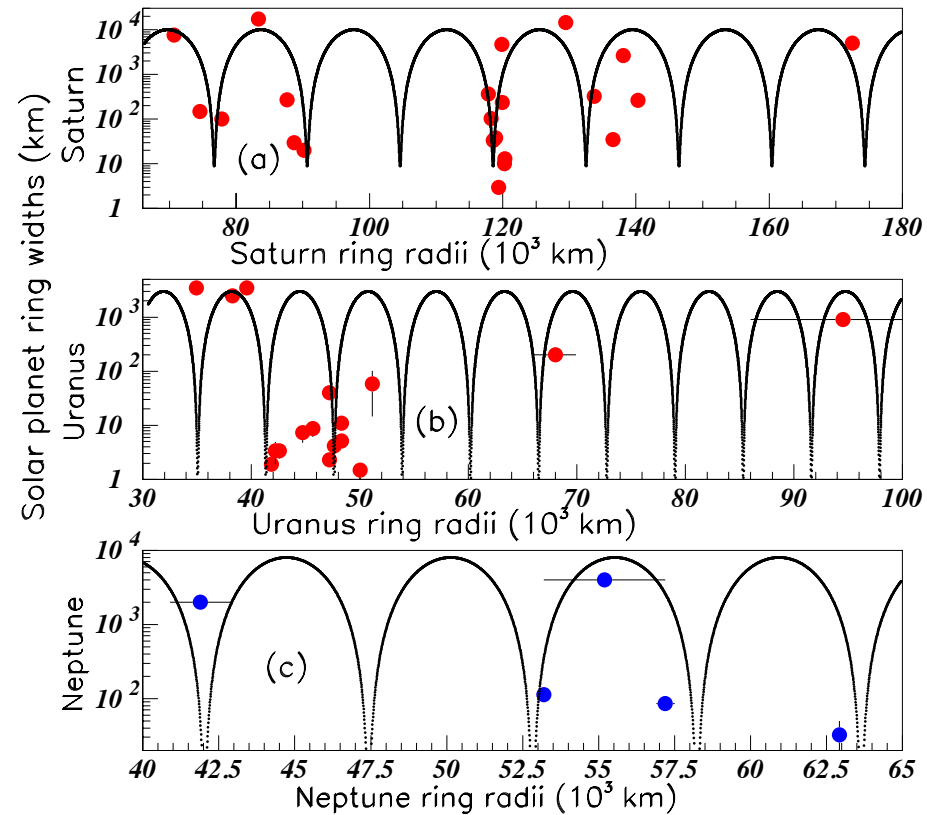
Conclusions

- **Regular oscillations** observed in particle and nuclei, masses and widths, provided they belong to *the same family and same spin*.
- Observed also in *astrophysical bodies*.
- One body property (pendulum ...) is extended to several bodies, as if they belong to one common entity.
- Hadronic and nuclear excited state masses are solution of a Schrödinger-like equation. What is the corresponding equation underlying the astrophysical properties ?
- The forces acting in these different fields are very different: *the common property is the existence of opposite interactions*.

Solar Planets, Moons, Rings

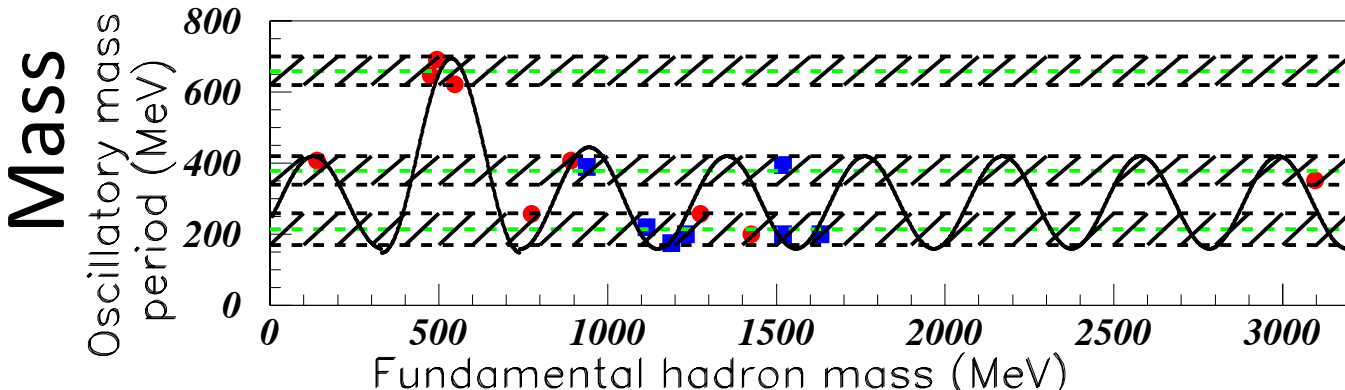


Moon diameter versus moon distance from its planet

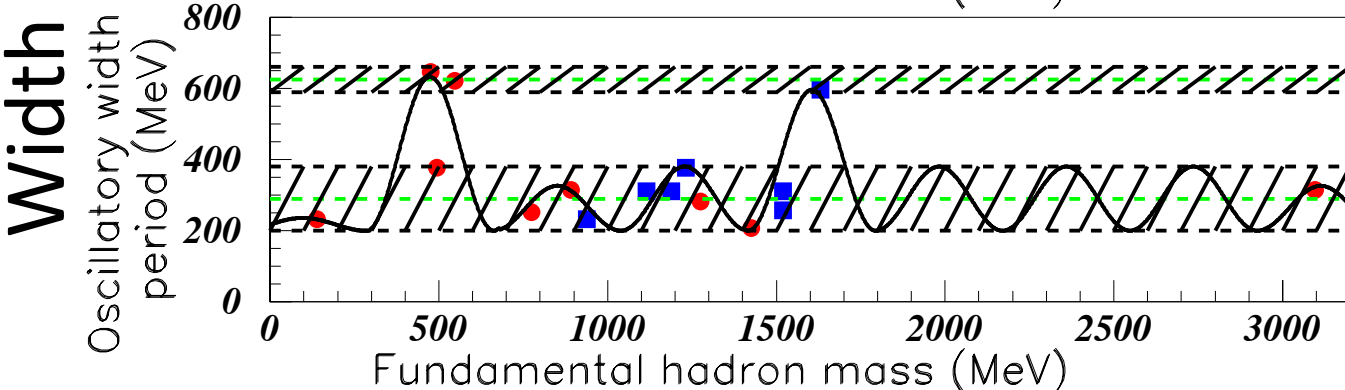


Solar planet ring widths versus planet ring radii.

Hadronic oscillatory period variations



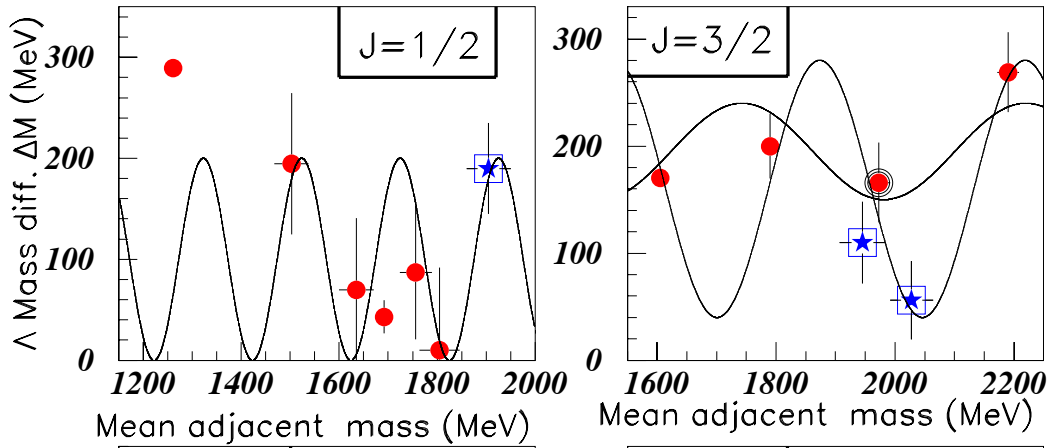
Mass periods
 $P=408$ MeV
Mean periods
215, 380, and 660 MeV



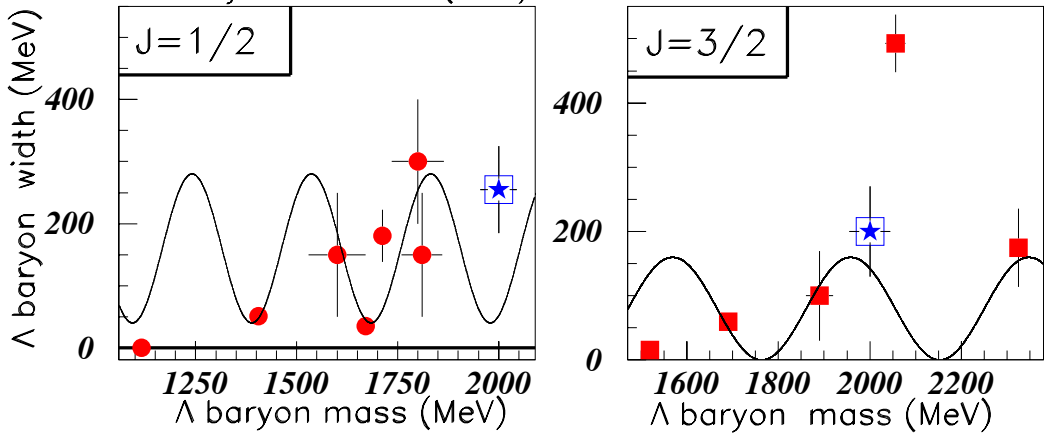
Width periods
 $P=377$ MeV
Mean periods
290 and 625 MeV

- Meson period
- Baryon period

Λ baryons



Successive mass difference versus mean adjacent masses



Width versus mean adjacent masses

$M(2000) 0^{??}$, (Γ imprecise)

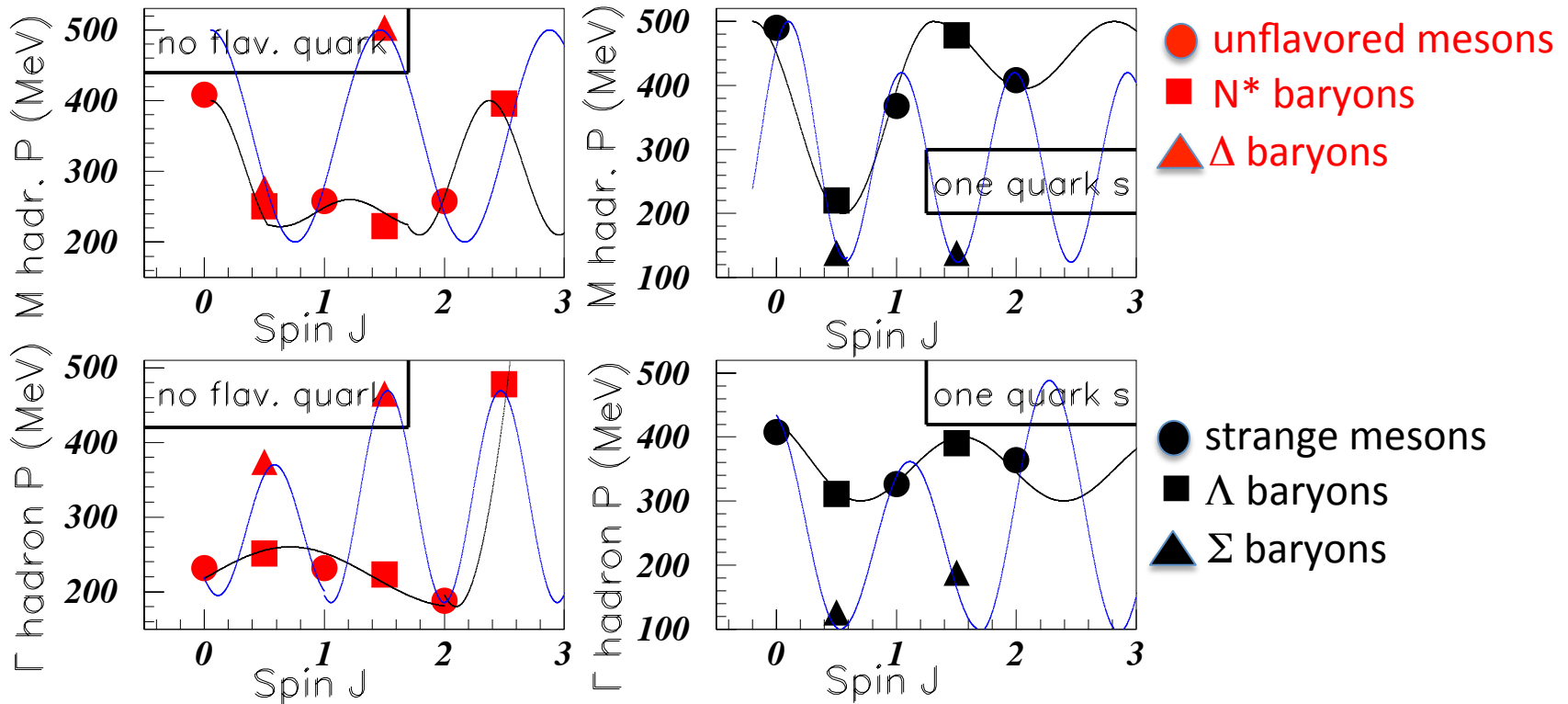
Tentative prediction of the $\Lambda(2000)$ spin: no clear attribution

$\Lambda(2000)$

Hadronic period variations

Mass

Width



Unflavored hadrons

black fit: unflav. mesons and N* baryons

$$P(m)=1.16 J \quad P(\Gamma)=2.76 J$$

blue fit: unflav. mesons and Δ baryons

$$P(m)=1.41 J \quad P(\Gamma)=0.94 J$$

Strange hadrons

black fit: strange mesons and Λ baryons

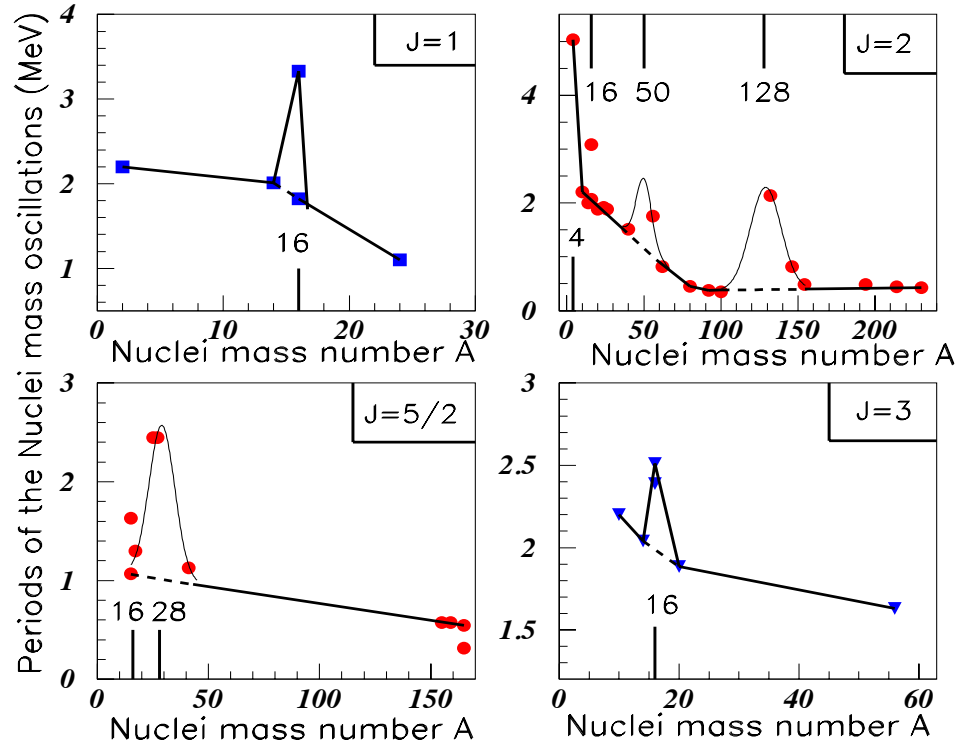
$$P(m)=1.51 J \quad P(\Gamma)=1.70 J$$

blue fit: strange mesons and Σ baryons

$$P(m)=0.94 J \quad P(\Gamma)=1.16 J$$

It is not possible to fit all data with a unique function

Period of Nuclear mass oscillations



Same period $P = 1.9 J$

Same period $P = 2.8 J$

Ratio between periods

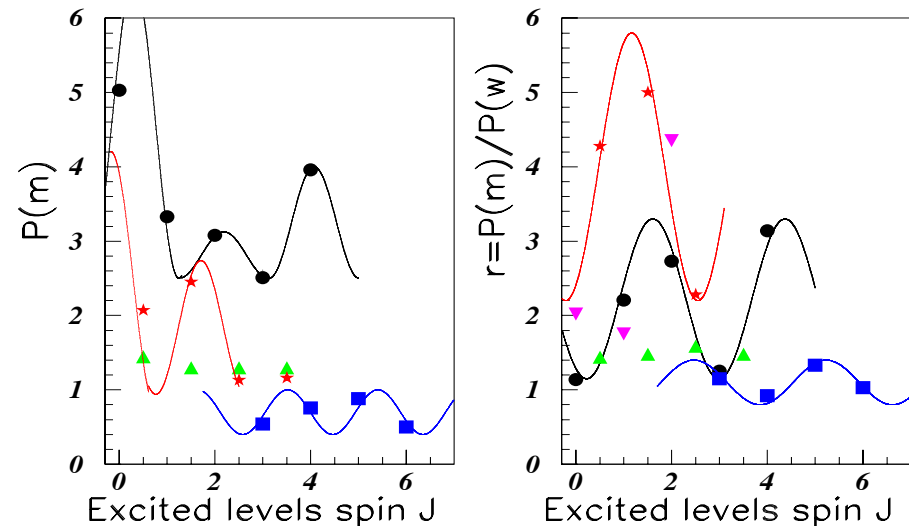
≈ 1.5

^{41}Ca and ^{41}Sc

^{17}O and ^{17}F

^{208}Pb

^{16}O



Nuclear oscillatory period variations

