A detailed study of the PICOSEC response to MIPs: number of photoelectrons and timing resolution

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A sort review on the methods used to analyze muon beam data, in order to evaluate the number of photoelectrons produced per MIP, as well as timing performance of the PICOSEC-MicroMegas detector

Study of the PICOSEC-MICROMEGAS Response to muon Beam Data

Response of the MicroMegas detector to the muon beam, as well as on single photoelectron from an LED source, in order to evaluate the number of photoelectrons extracted from the photocathode (per MIP) and the timing resolution of the detector. In addition, findings on the geometrical acceptance of the Picosec detector are presented.

275V anode and 475V drift voltage settings

COMPASS (80% Ne + 10% CF_4 + 10% C_2H_6) gas filling



Analyzing the LED data





Data from muon beam

Black: tracks on the (large) scintillator Red: tracks on the Picosec





Evaluation of the Picosec position center from the mean values

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Cherenkov Cone Projection Mean Charge per Track 10 Prediction based on reflection and geometry R Polya fit on the noise spectrum 0 $^{-2}$ Track Impact Point **Geometrical acceptance** Anode -6 Û 6 8 10 Toy MC

Picosec radius: 5 mm

Cherenkov cone radius: 3 mm

2.5

0

7.5

5

12.5

10

17.5

15

22.5

25

20

Track Impact Parameter (mm)







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How to estimate the number of photoelectrons per MIP

Polya for multiple photoelectrons charge distribution

 $P(Q; n, Q_e, rms_e)$

Poisson for the mean number of pes in the Cherenkov cone

 $f(n;\mu) = \frac{e^{-\mu}\mu^n}{n!}$

Geometrical acceptance $\epsilon = \epsilon(r)$ $r = \sqrt{x^2 + y^2}$ $g(Q) \equiv noise, if n = 0$ $G(Q; n) = \begin{cases} P, if n > 0 \\ g, if n = 0 \end{cases}$

Track displacement

$$r_i = [(x_i - \delta x)^2 + (y_i - \delta y)^2]$$

Likelihood minimization to estimate mean number of pes (µ) and true impact parameters (x,y)

$$L(Q_{1},Q_{2}\ldots Q_{M},x_{1},x_{2}\ldots x_{M},y_{1},y_{2}\ldots y_{M};\mu,\delta x,\delta y) =$$
$$=\prod_{i=1}^{M}\sum_{n=0}^{\infty}\frac{e^{-\mu\cdot\epsilon(r_{i})}\cdot(\mu\cdot\epsilon(r_{i}))^{n}}{n!}\cdot G(Q_{i};n,Q_{e},rms_{e})$$

For detailed explanation see at the AUTH note part A and S.E.Tzamarias talk in Open Lectures.

Muon data with small area scintillator trigger Scatter plot of tracks impact parameter



Inner circle - 2mm radius (all photons deposited in photocathode) Outer circle - 5mm radius (Picosec detector limits)



Black: data Red: Prediction





Muon beam data, trigger from small area scintillator

Mean number of pes distribution w.r.t the track impact parameter for both data sets.

Conclusions

- 24ps timing resolution achieved!
- Better understanding of the detector geometry effects and accurate estimation of the mean number of photoelectrons per MIP.
- Now, we are analyzing the August and October 2017 data from test beam, in different voltage settings and photocathodes
- Resistive PICOSEC MicroMegas included in these tests, with slightly worse resolution, but results are very preliminary.

Thank you for your attention!