

BSM Searches at CLIC

Tevong You

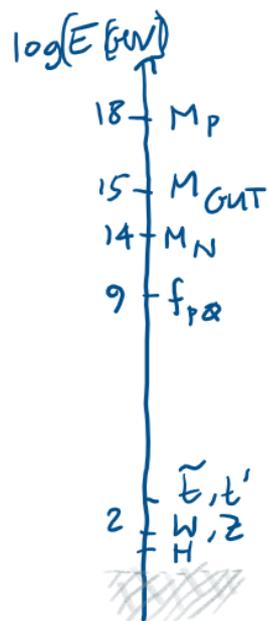


Introduction

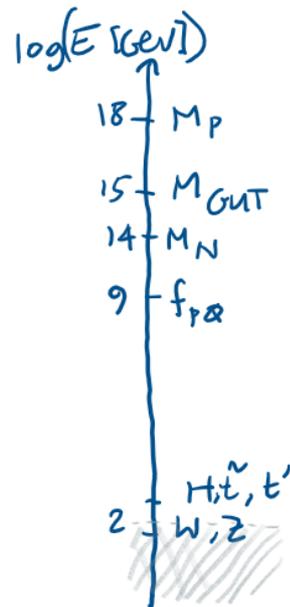
- Motivation for the SMEFT framework
- Projected sensitivity to BSM at CLIC
- VBF top pair production at CLIC
- CLIC light-by-light scattering

Motivation for the SMEFT framework

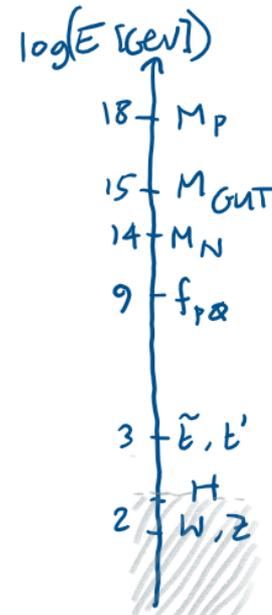
- Evolving picture of BSM thanks to experiment



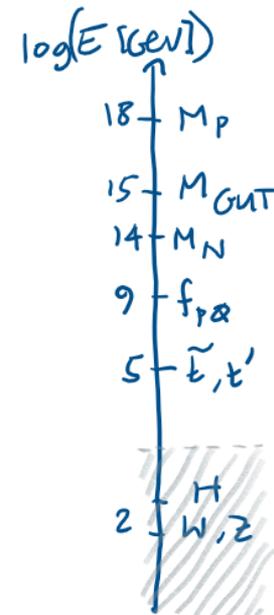
1980's



1990's



2000's



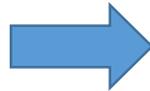
2010's

- The Standard Model *is* an **effective field theory**

Motivation for the SMEFT framework

- New physics appear to be decoupled at higher energies
- Given particle content, write down *all* terms allowed by symmetries...

	$SU(3)_c$	$SU(2)_L$	$U(1)_Y$
Q_L	3	2	$\frac{1}{6}$
q_R^u	3	1	$\frac{2}{3}$
q_R^d	3	1	$-\frac{1}{3}$
L_L	1	2	$-\frac{1}{2}$
l_R	1	1	-1
ϕ	1	2	$\frac{1}{2}$



$$\mathcal{L}_{SM} = \mathcal{L}_m + \mathcal{L}_g + \mathcal{L}_h + \mathcal{L}_y \quad ,$$

$$\mathcal{L}_m = \bar{Q}_L i \gamma^\mu D_\mu^L Q_L + \bar{q}_R i \gamma^\mu D_\mu^R q_R + \bar{L}_L i \gamma^\mu D_\mu^L L_L + \bar{l}_R i \gamma^\mu D_\mu^R l_R$$

$$\mathcal{L}_G = -\frac{1}{4} B_{\mu\nu} B^{\mu\nu} - \frac{1}{4} W_{\mu\nu}^a W^{a\mu\nu}$$

$$\mathcal{L}_H = (D_\mu^L \phi)^\dagger (D^{L\mu} \phi) - V(\phi)$$

$$\mathcal{L}_Y = y_d \bar{Q}_L \phi q_R^d + y_u \bar{Q}_L \phi^c q_R^u + y_L \bar{L}_L \phi l_R + \text{h.c.} \quad ,$$

- ...Including **higher-dimensional** operators!

$$+ \quad \boxed{\mathcal{L}_{SM}^{\text{dim-6}} = \sum_i \frac{c_i}{\Lambda^2} \mathcal{O}_i}$$

- Generated by new physics at scale $\Lambda \gg v$

SMEFT framework

- Unique dim-5 Weinberg operator, violates lepton number, predicts neutrino masses
- Modulo flavour structure, there are **59** dim-6 (CP-even) operators in a **non-redundant** basis

Buchmuller and Wyler (Nucl. Phys. B 268 (1986) 621)
 Gradkowski et al [arXiv:1008.4884]

- **~19** operators relevant for EWPT, TGC, and Higgs physics

EWPTs	Higgs Physics	TGCs
$\mathcal{O}_W = \frac{ig}{2} \left(H^\dagger \overset{\leftrightarrow}{D}^\mu H \right) D^\nu W_{\mu\nu}^a$		
$\mathcal{O}_B = \frac{ig'}{2} \left(H^\dagger \overset{\leftrightarrow}{D}^\mu H \right) \partial^\nu B_{\mu\nu}$		$\mathcal{O}_{3W} = g \frac{\epsilon_{abc}}{3!} W_\mu^{a\nu} W_{\nu\rho}^b W^{c\rho\mu}$
$\mathcal{O}_T = \frac{1}{2} \left(H^\dagger \overset{\leftrightarrow}{D}_\mu H \right)^2$	$\mathcal{O}_{HW} = ig(D^\mu H)^\dagger \sigma^a (D^\nu H) W_{\mu\nu}^a$	
$\mathcal{O}_{LL}^{(3)l} = (\bar{L}_L \sigma^a \gamma^\mu L_L) (\bar{L}_L \sigma^a \gamma_\mu L_L)$	$\mathcal{O}_{HB} = ig'(D^\mu H)^\dagger (D^\nu H) B_{\mu\nu}$	
$\mathcal{O}_R^e = (iH^\dagger \overset{\leftrightarrow}{D}_\mu H) (\bar{e}_R \gamma^\mu e_R)$	$\mathcal{O}_g = g_s^2 H ^2 G_{\mu\nu}^A G^{A\mu\nu}$	
$\mathcal{O}_R^u = (iH^\dagger \overset{\leftrightarrow}{D}_\mu H) (\bar{u}_R \gamma^\mu u_R)$	$\mathcal{O}_\gamma = g'^2 H ^2 B_{\mu\nu} B^{\mu\nu}$	
$\mathcal{O}_R^d = (iH^\dagger \overset{\leftrightarrow}{D}_\mu H) (\bar{d}_R \gamma^\mu d_R)$	$\mathcal{O}_H = \frac{1}{2} (\partial^\mu H ^2)^2$	
$\mathcal{O}_L^{(3)q} = (iH^\dagger \overset{\leftrightarrow}{D}_\mu H) (\bar{Q}_L \sigma^a \gamma^\mu Q_L)$	$\mathcal{O}_f = y_f H ^2 \bar{F}_L H^{(c)} f_R + \text{h.c.}$	
$\mathcal{O}_L^q = (iH^\dagger \overset{\leftrightarrow}{D}_\mu H) (\bar{Q}_L \gamma^\mu Q_L)$	$\mathcal{O}_6 = \lambda H ^6$	

In SILH basis (Giudice et al. hep-ph/0703164), adopted from Pomarol and Riva (1308.1426)

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Operators benefit
 from precision at
 ILC/CEPC/FCC-ee

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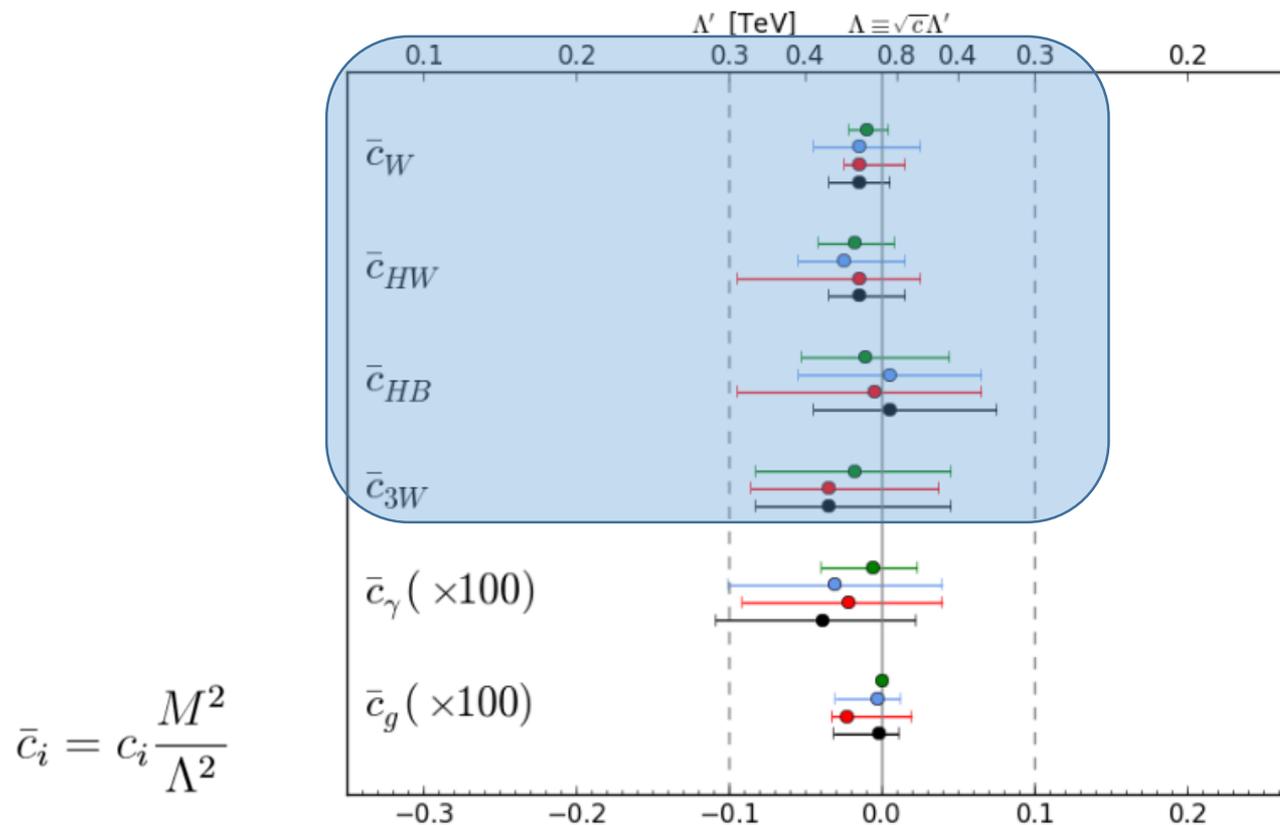
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Operators benefit from energy-growing effects at CLIC

In SILH basis (Giudice et al. hep-ph/0703164), adopted from Pomarol and Riva (1308.1426)

Present state of Higgs SMEFT limits

- Higgs and TGC sensitivity **< 1 TeV** at LHC

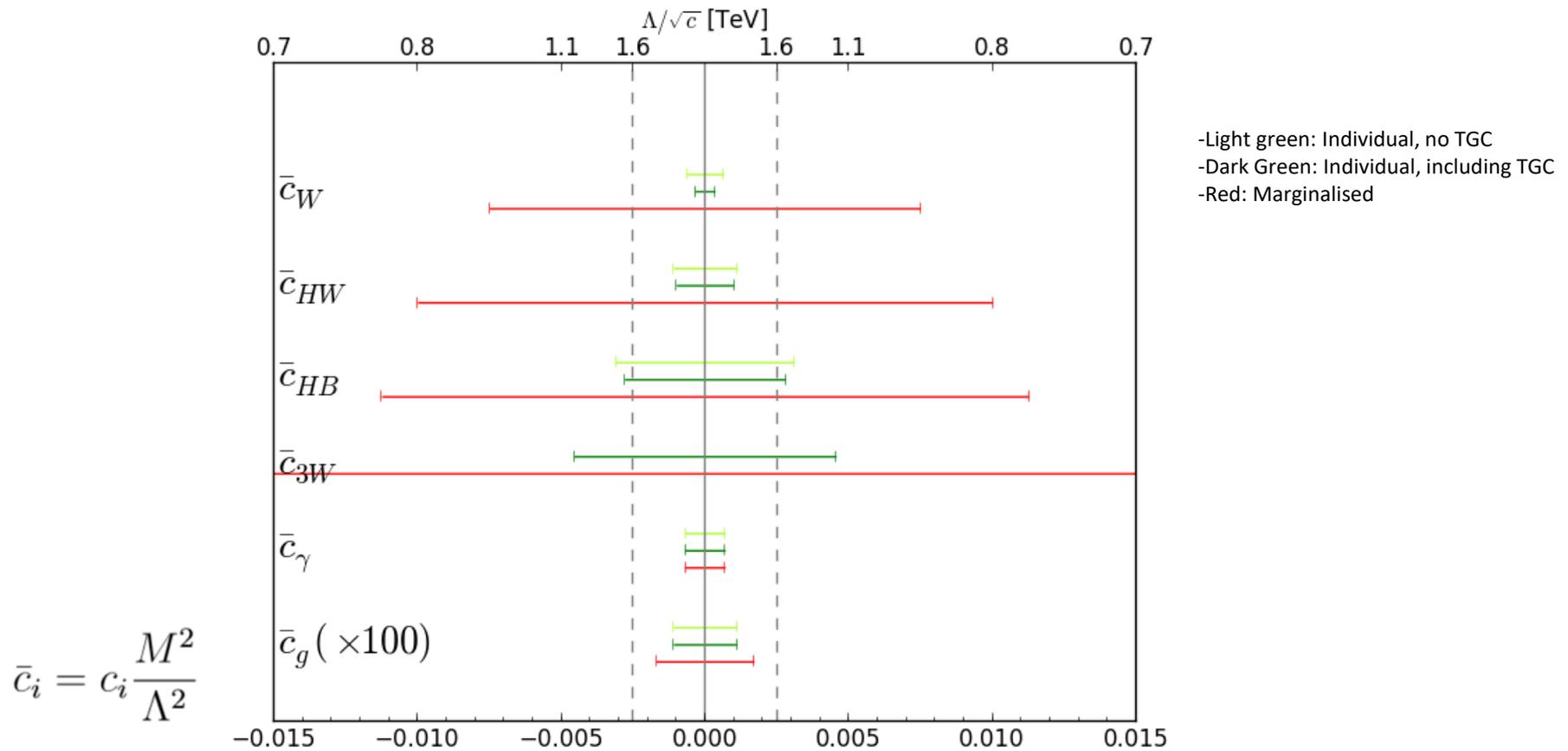


Ellis, Sanz and T.Y. 1410.7703

- Not *precision observables* yet

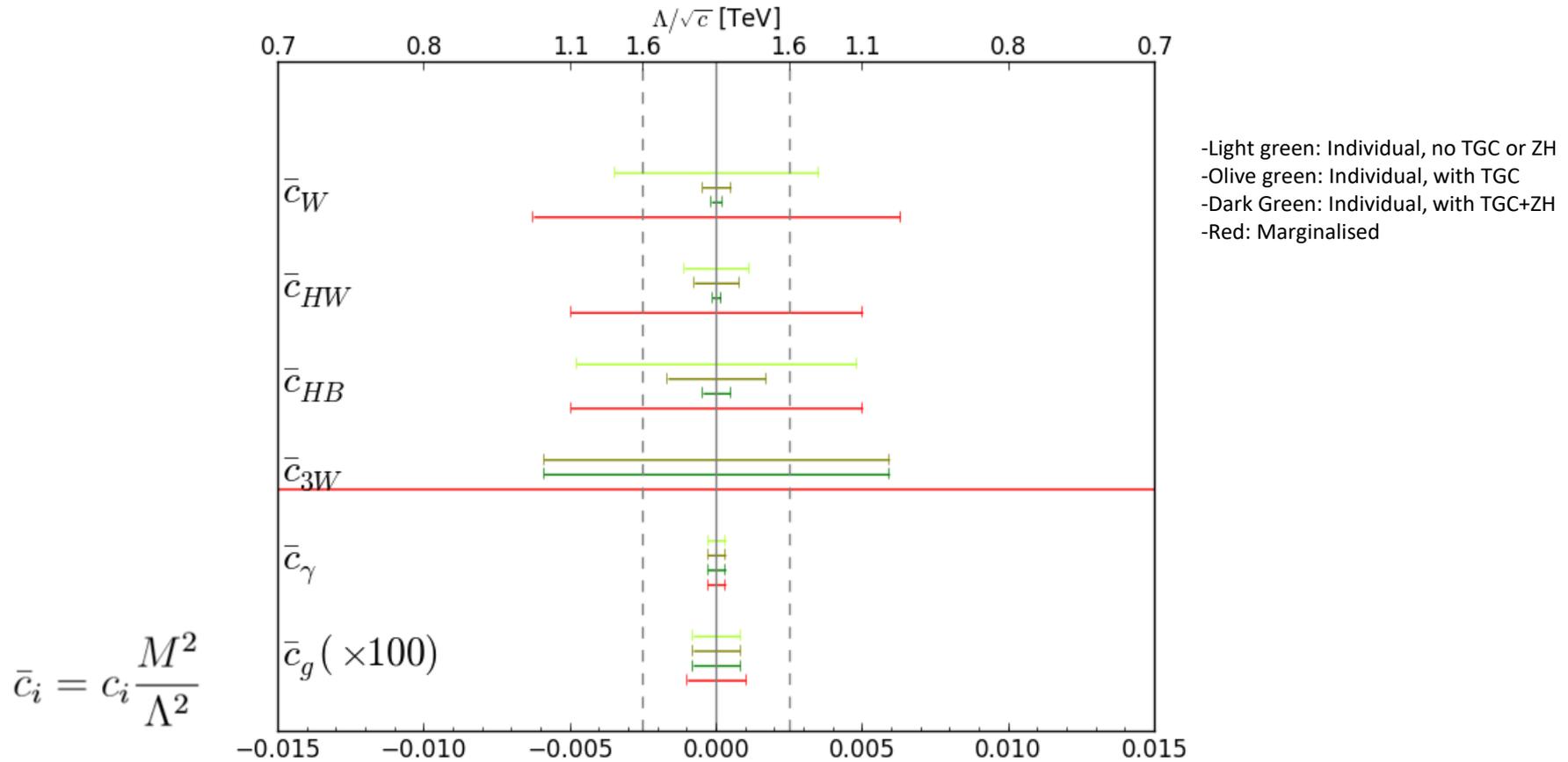
Higgs and TGC at CLIC

- CLIC 350 GeV



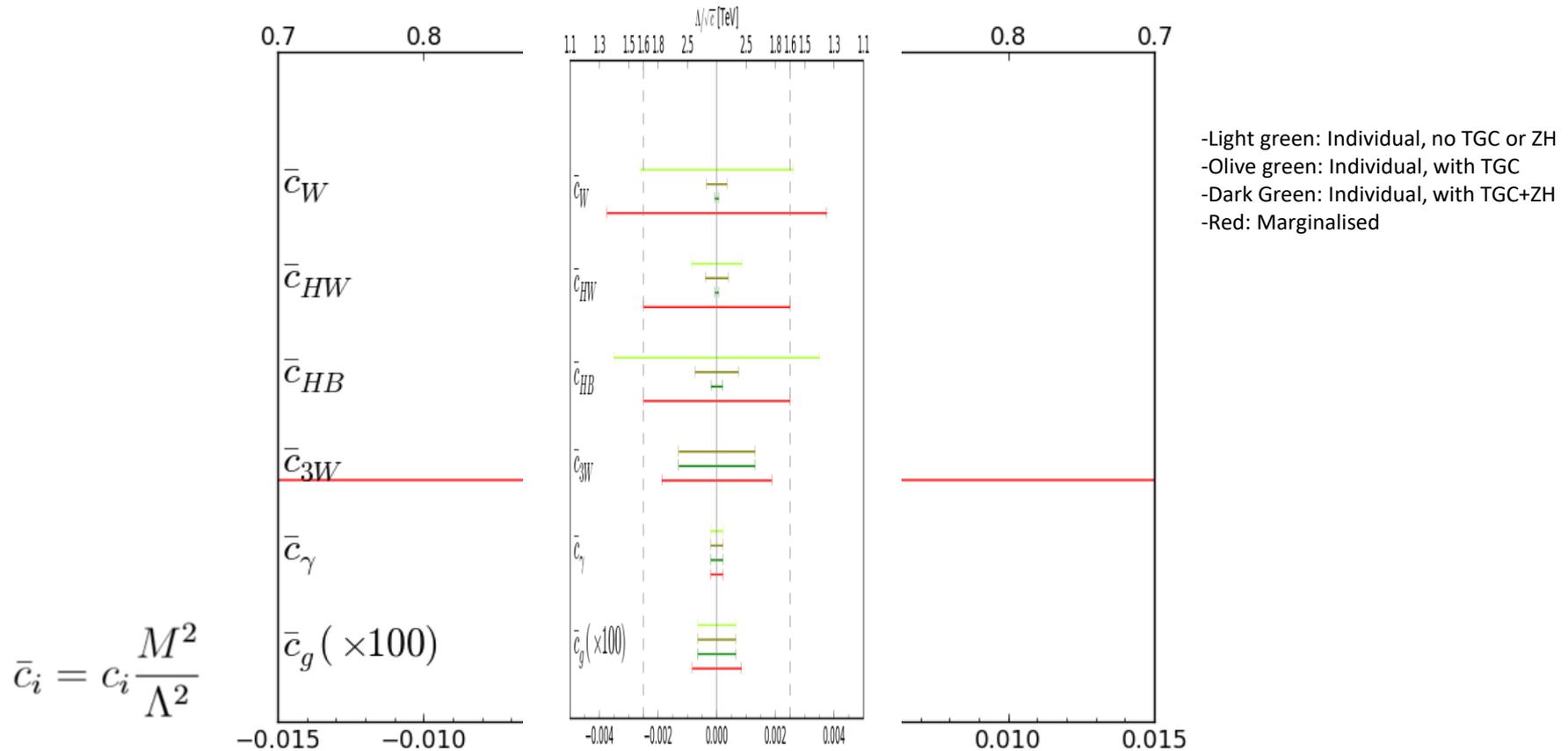
Higgs and TGC at CLIC

- CLIC 1.4 TeV



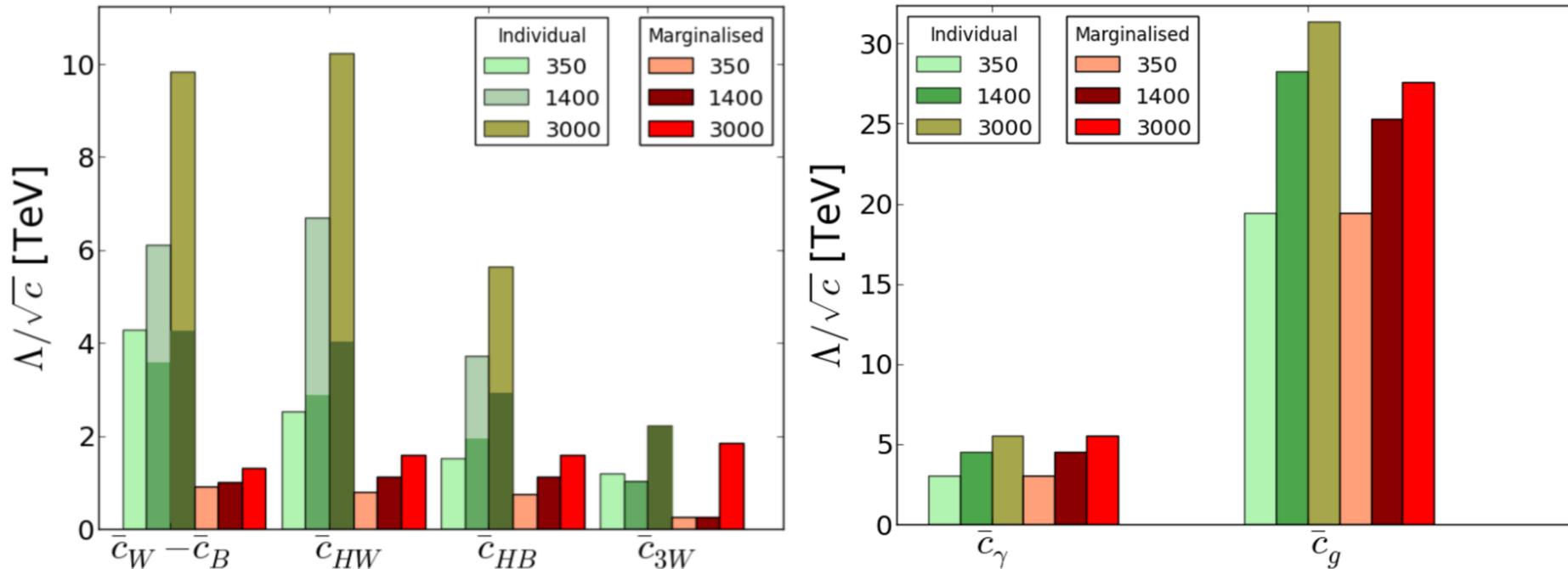
Higgs and TGC at CLIC

- CLIC 3 TeV



Higgs and TGC at CLIC

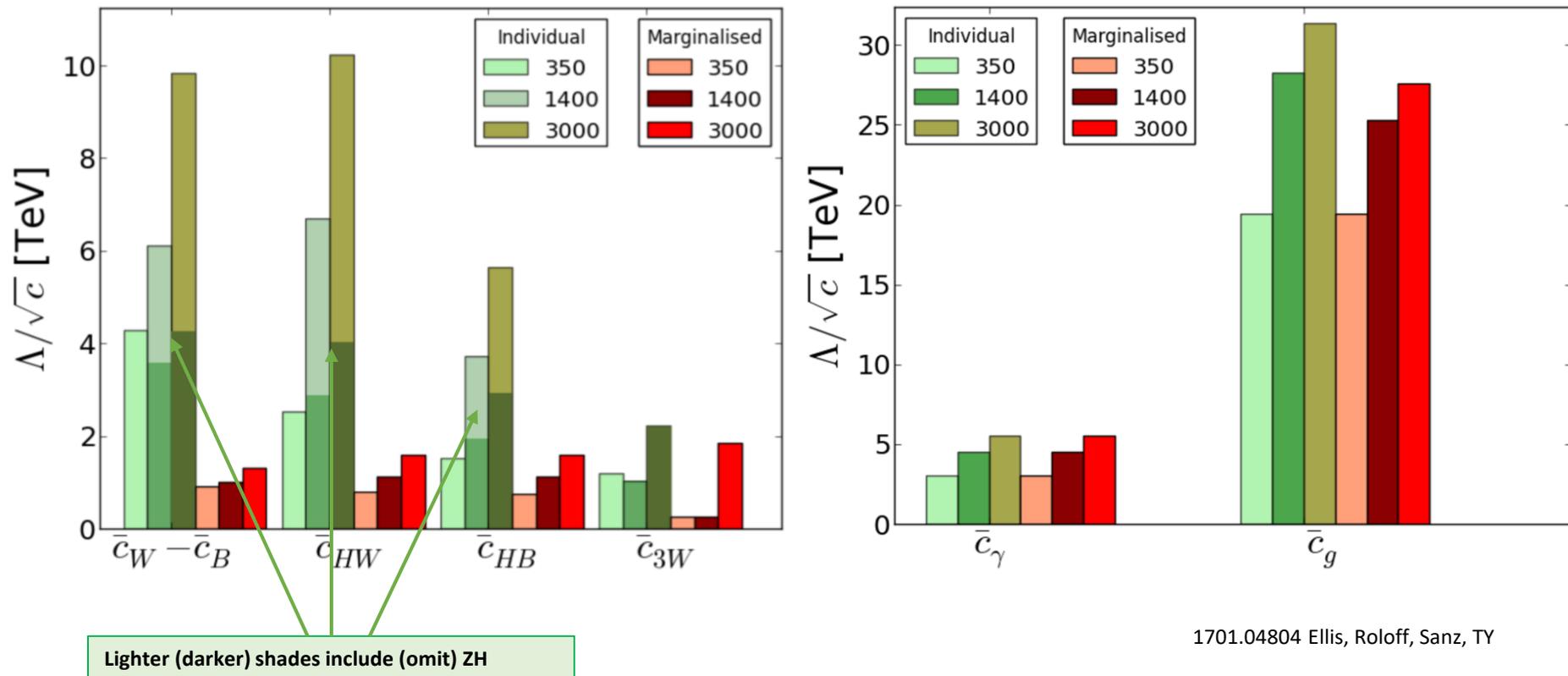
- Summary of TeV reach



Lighter (darker) shades include (omit) ZH

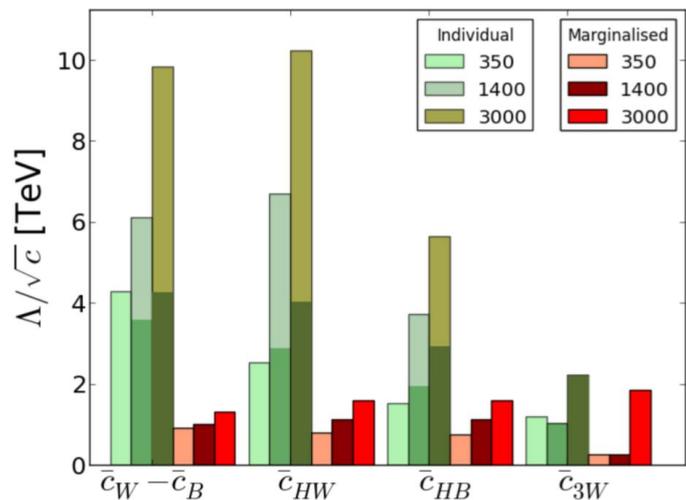
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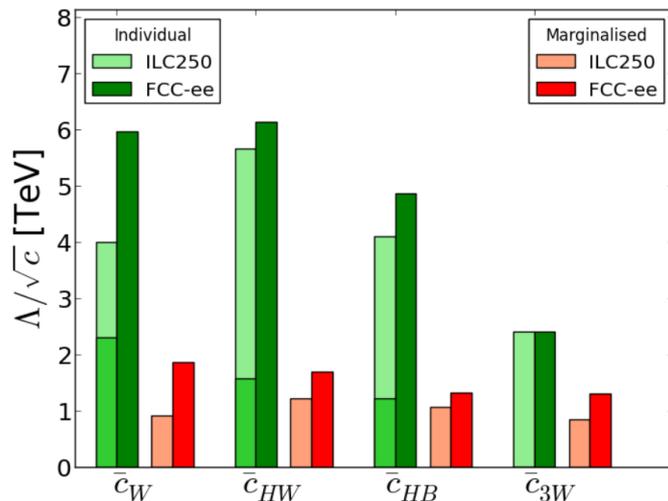


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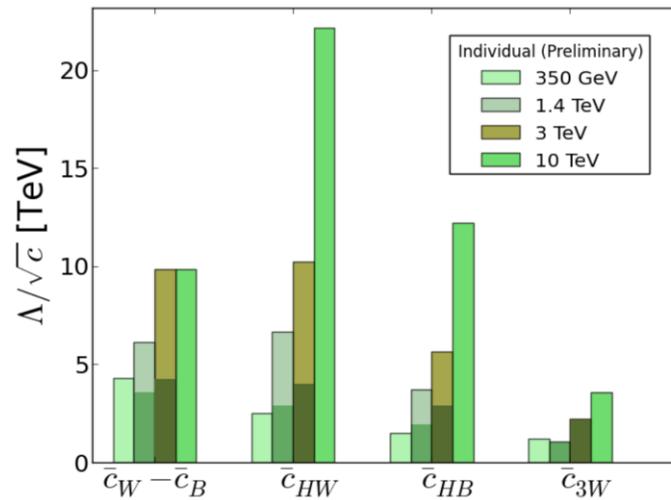
- c.f. ILC250 and FCC-ee precision reach on these operators



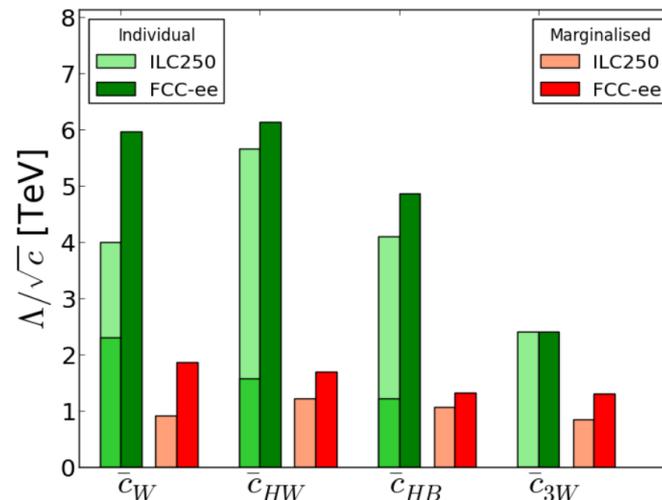
Lighter (darker) shades include (omit) TGCs

Higgs and TGC at CLIC

- Preliminary 10 TeV reach



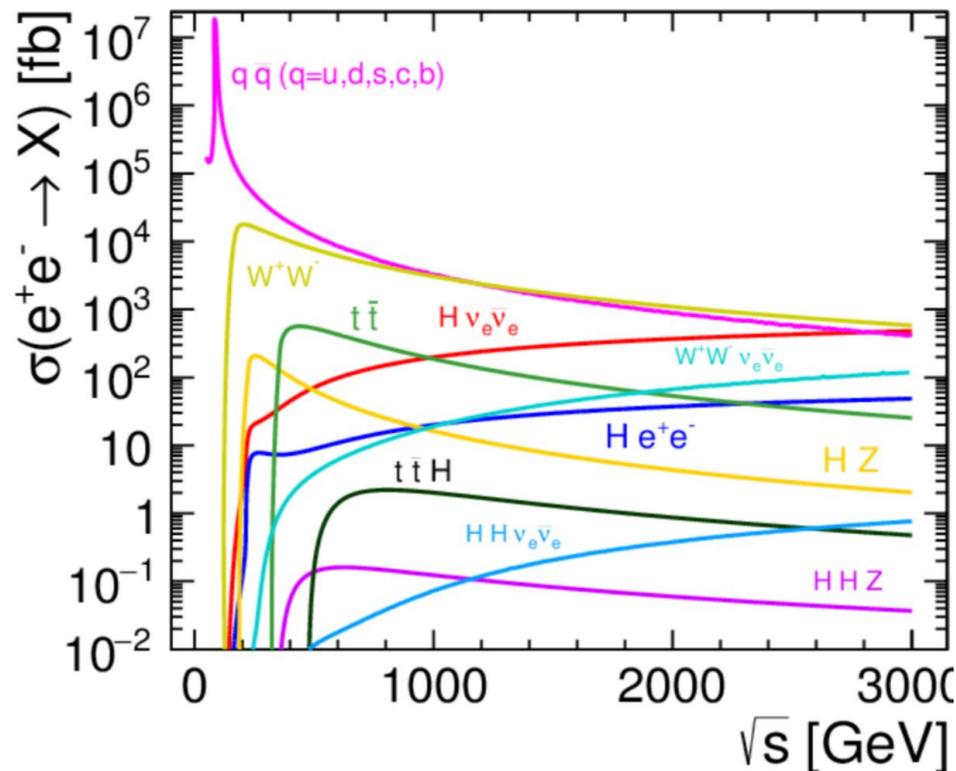
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VBF top pair production

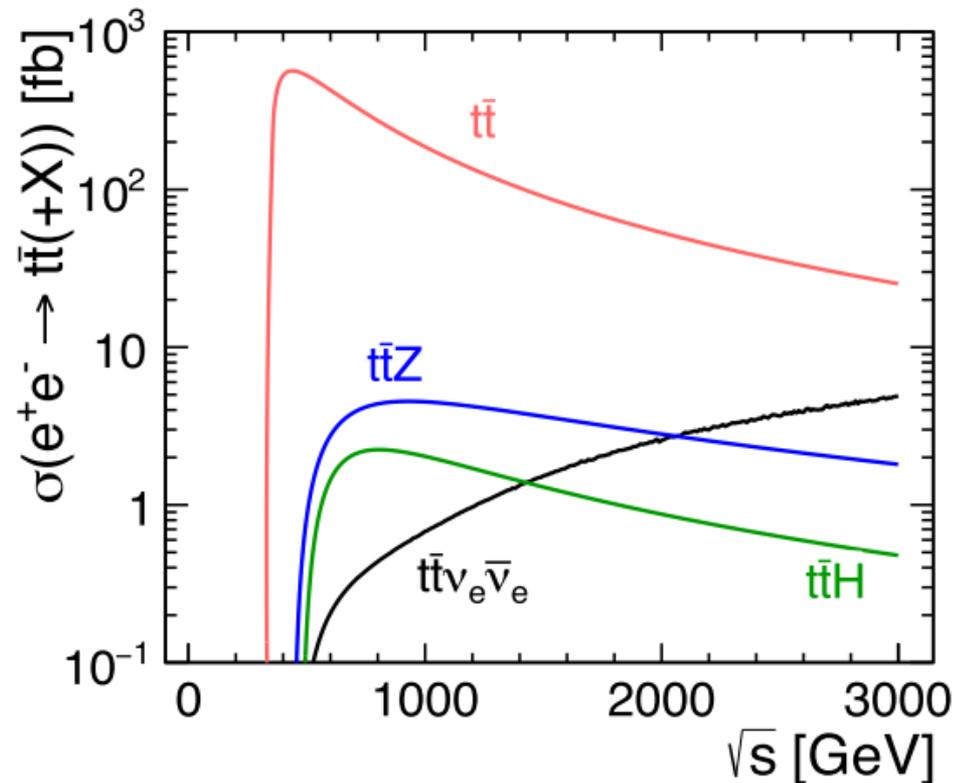
- Top pair production peaks close to threshold



- Studied $e^+e^- \rightarrow \nu\bar{\nu}t\bar{t}$, enhanced with energy

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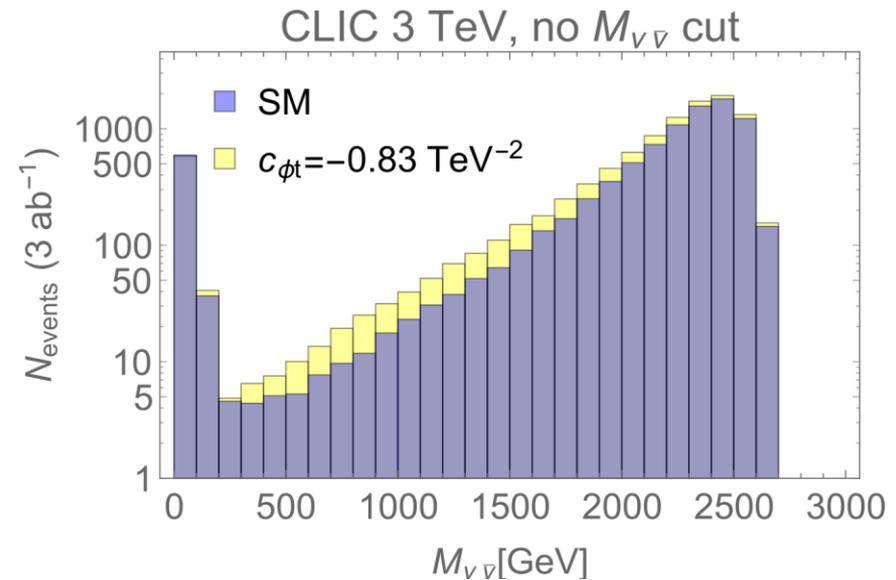
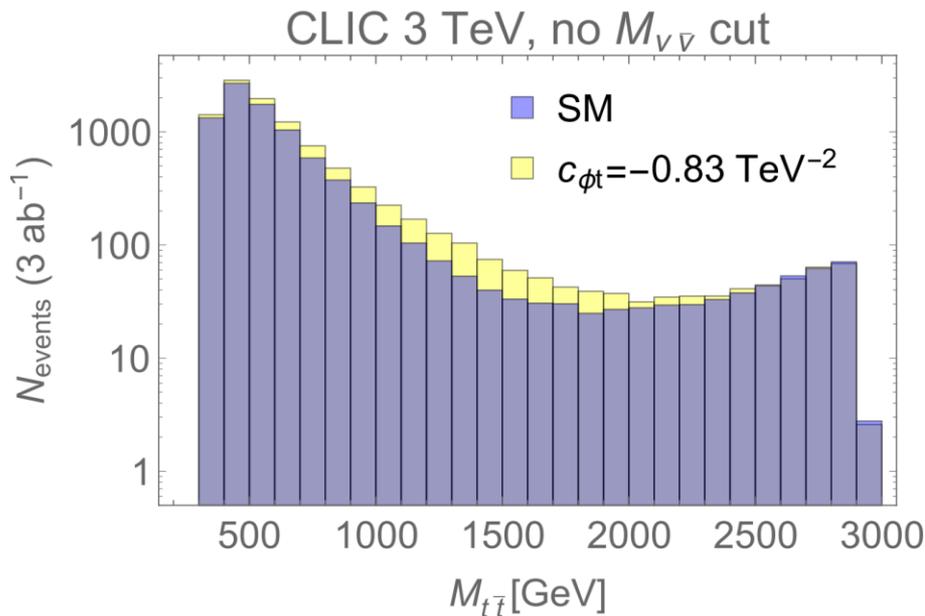
CLICdp top report

- Studied $e^+e^- \rightarrow \nu\bar{\nu}t\bar{t}$, enhanced with energy

VBF top pair production

- Dim-6 energy growth in $e^+e^- \rightarrow \nu\bar{\nu}t\bar{t}$ differential distributions

C. Grojean, A. Wulzer, Z. Zhang, TY [CLICdp top report]

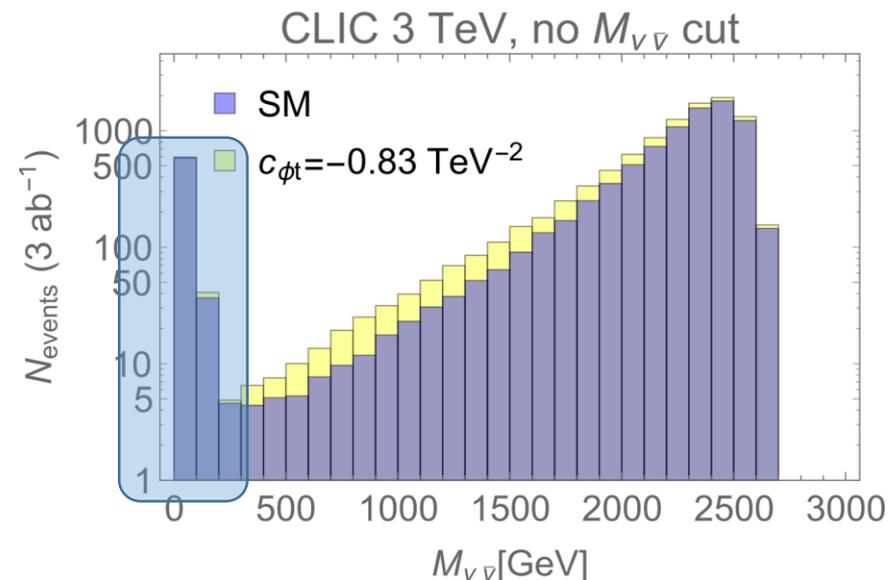
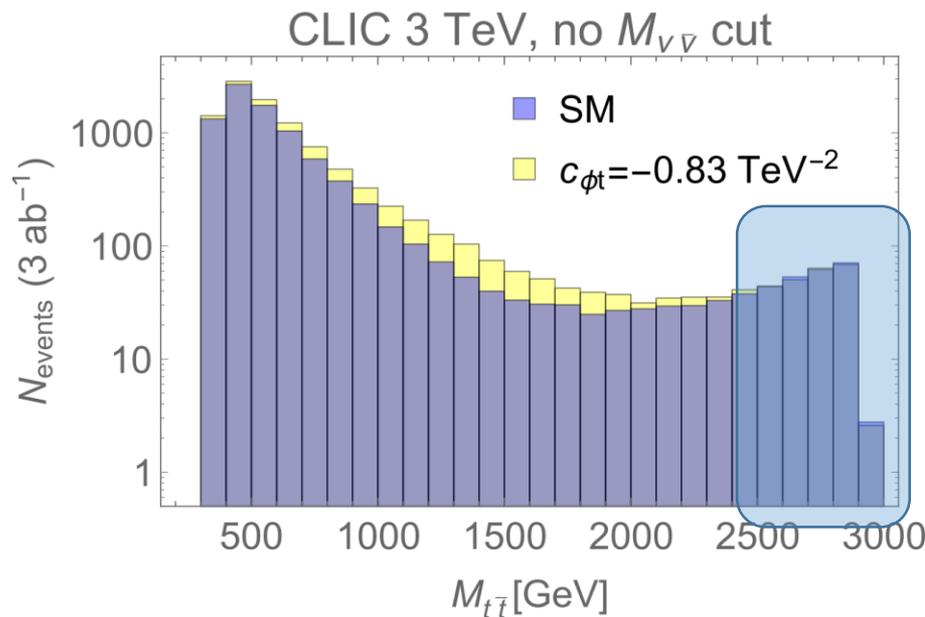


- Recover energy-growing behaviour in tail by cutting on $M_{\nu\bar{\nu}}$ to remove Z-pole contribution

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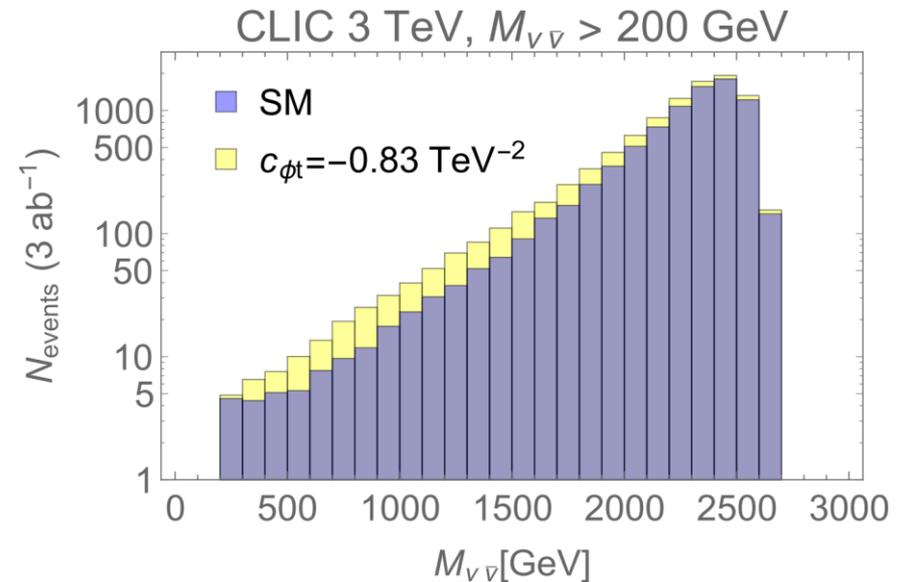
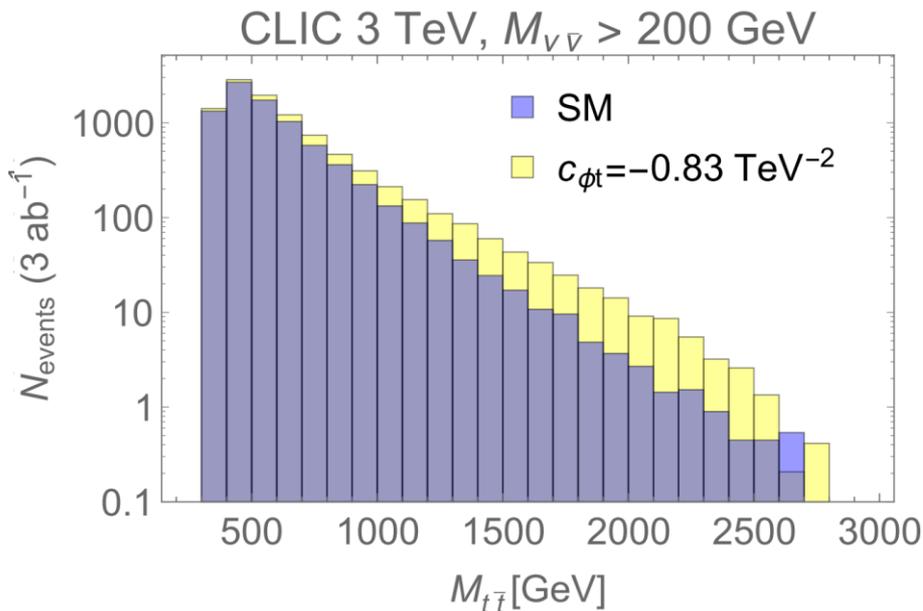


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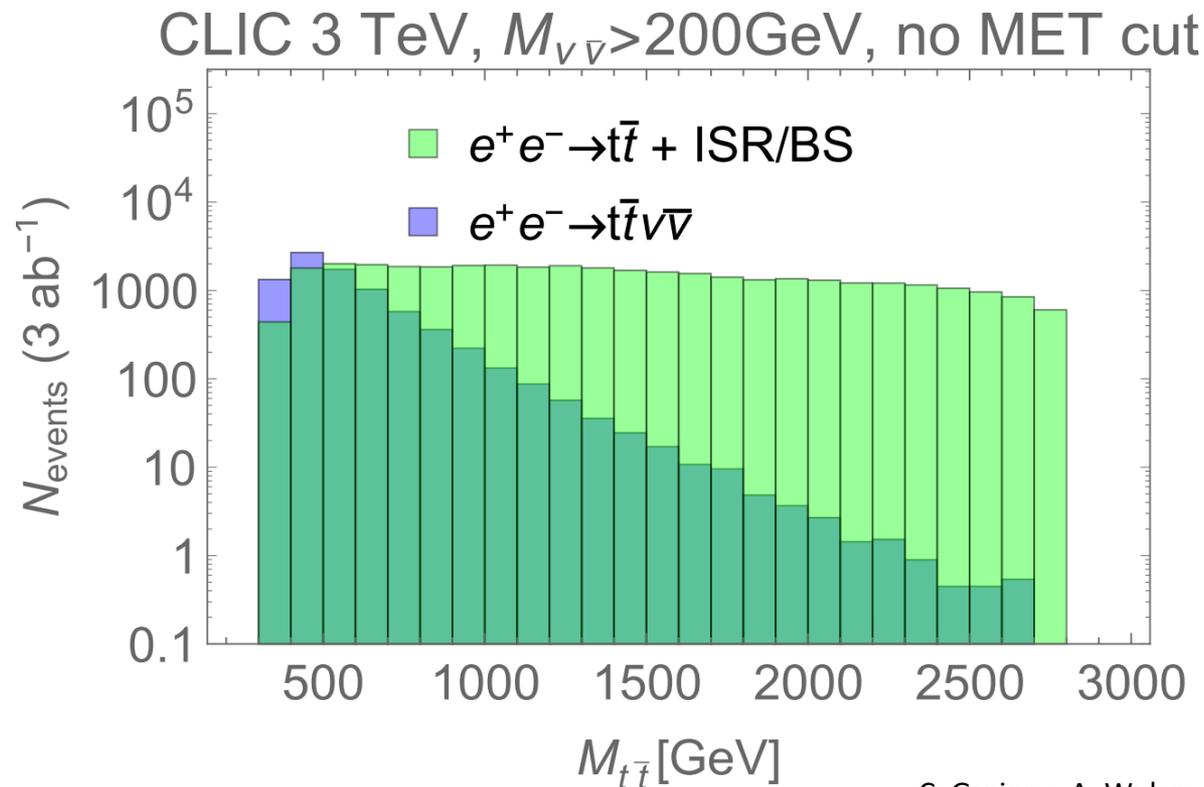
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VBF top pair production

- ISR/Beamstrahlung background from SM $e^+e^- \rightarrow t\bar{t}$

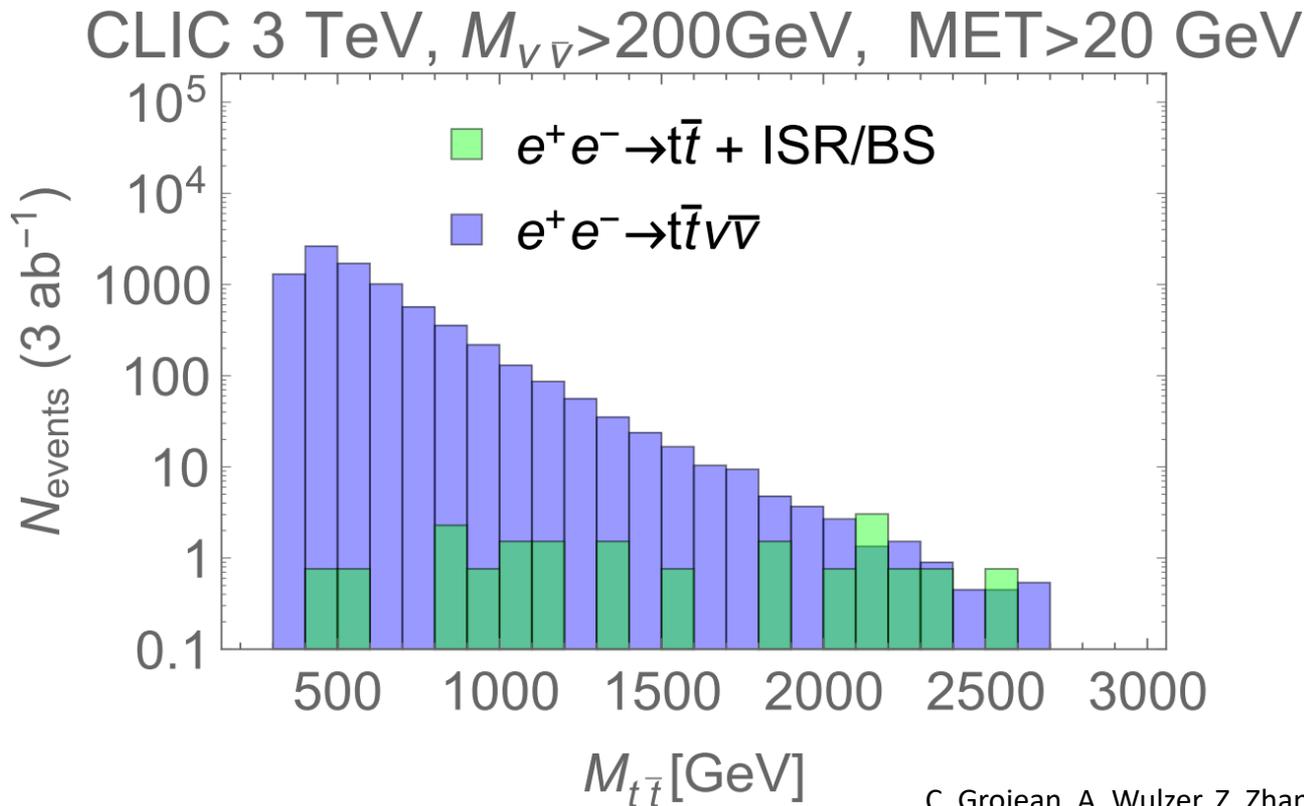


C. Grojean, A. Wulzer, Z. Zhang, TY [CLICdp top report]

- Efficiently removed by MET cut

VBF top pair production

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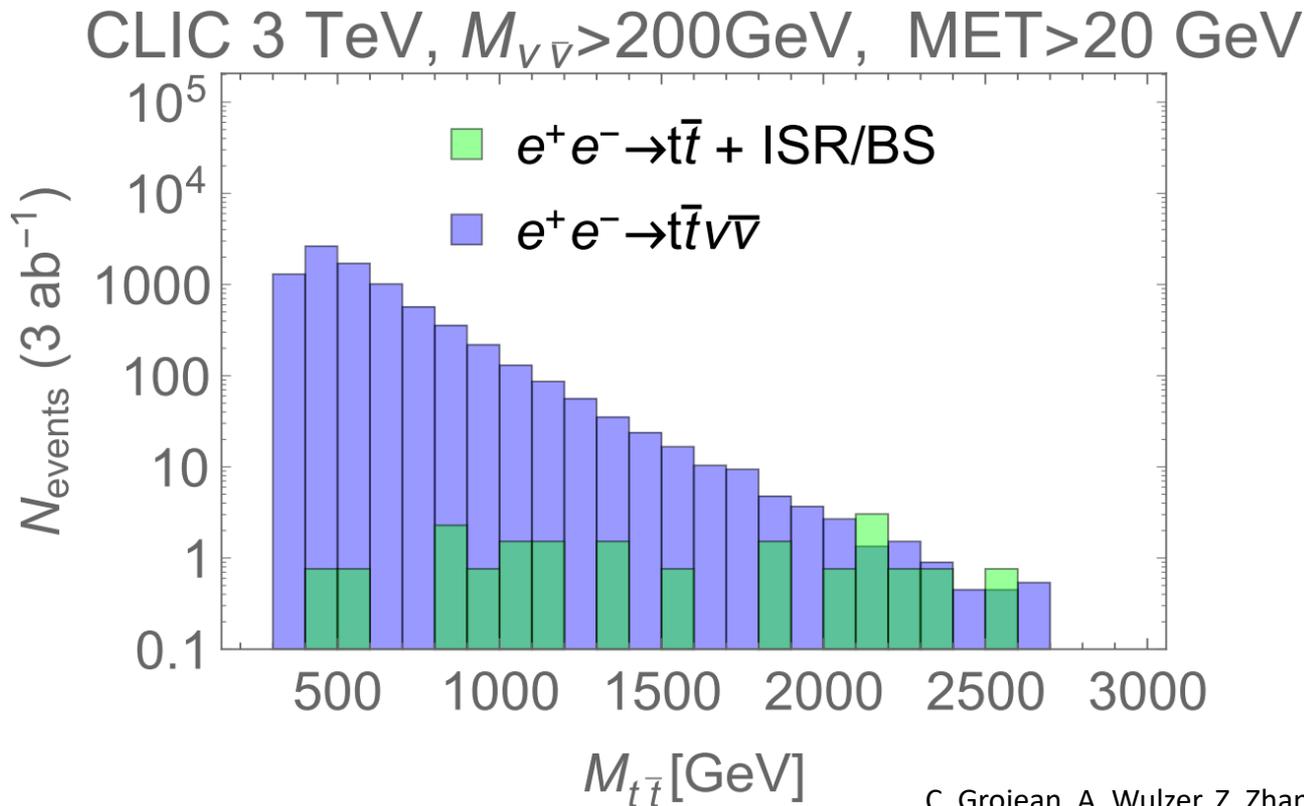


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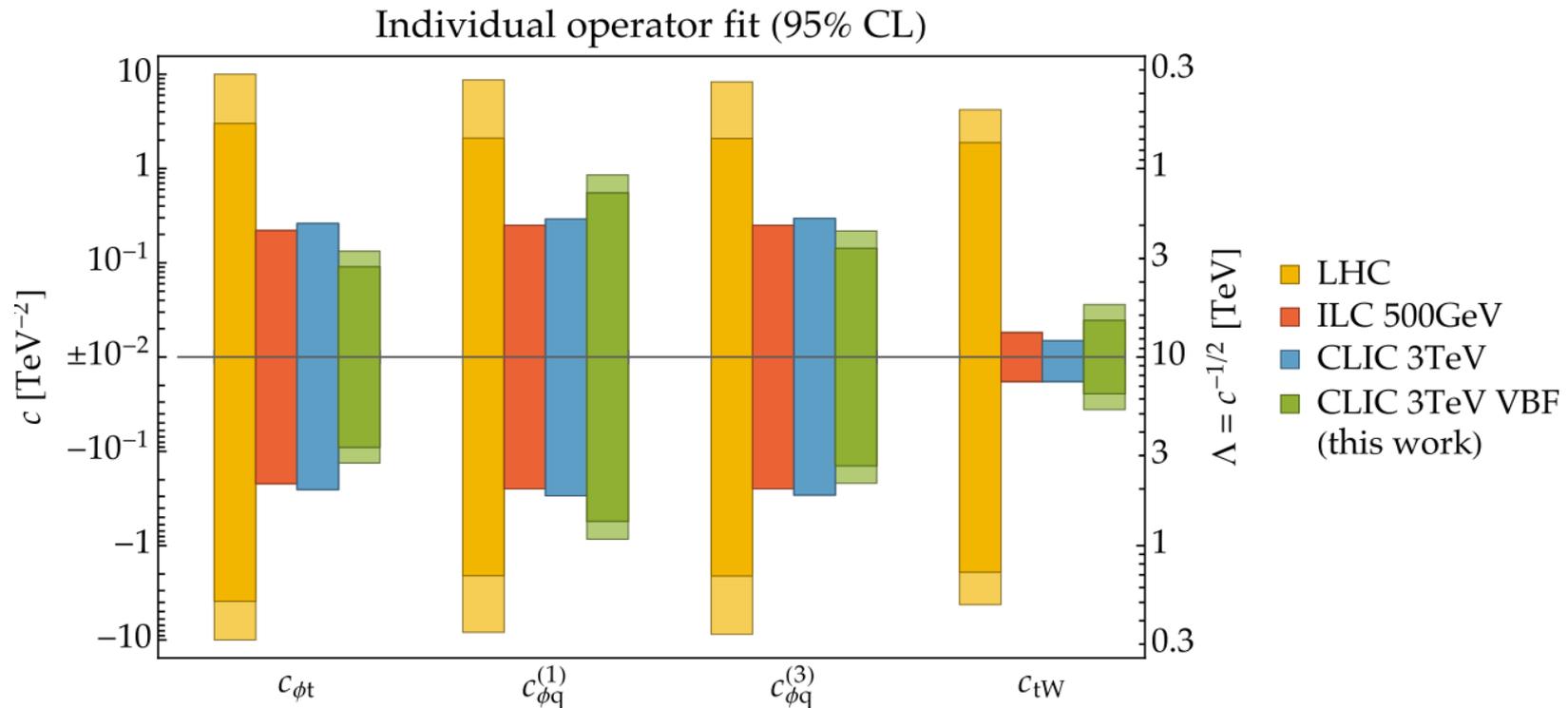


C. Grojean, A. Wulzer, Z. Zhang, TY [CLICdp top report]

- Efficiently removed by MET cut

VBF top pair production

- Summary of projected top operators sensitivity



C. Grojean, A. Wulzer, Z. Zhang, TY [CLICdp top report]

- Comparable and complementary to other channels

CLIC light-by-light scattering

- Also benefits from higher energies

J. Ellis, N. Mavromatos, P. Roloff, TY [in progress]

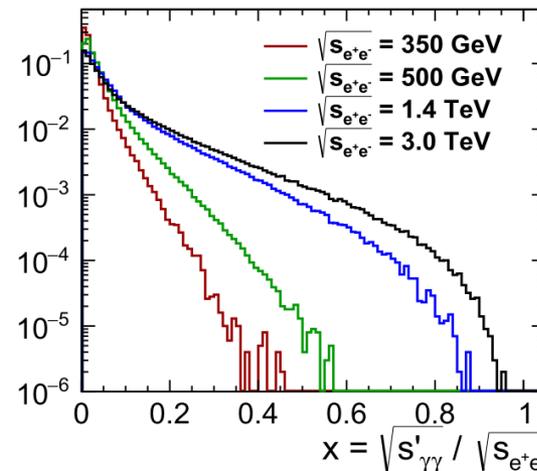


Figure 4: The distributions of the $\gamma\gamma$ scattering centre-of-mass energy $\sqrt{s'_{\gamma\gamma}}$ at four CLIC energies: $\sqrt{s_{e^+e^-}} = 350$ GeV, 500 GeV, 1.4 TeV and 3 TeV (red, green, blue and black histograms, respectively).

- Constrains Born-Infeld theory and vector EFTs

$$\mathcal{L}_{\text{BI}} = \beta^2 \left(1 - \sqrt{1 + \frac{1}{2\beta^2} F_{\mu\nu} F^{\mu\nu} - \frac{1}{16\beta^4} (F_{\mu\nu} \tilde{F}^{\mu\nu})^2} \right)$$

$$\mathcal{L}_{\text{EFT}} \supset c_1 F_{\mu\nu} F^{\mu\nu} F_{\rho\sigma} F^{\rho\sigma} + c_2 F_{\mu\nu} F^{\nu\rho} F_{\rho\lambda} F^{\lambda\mu}$$

CLIC light-by-light scattering

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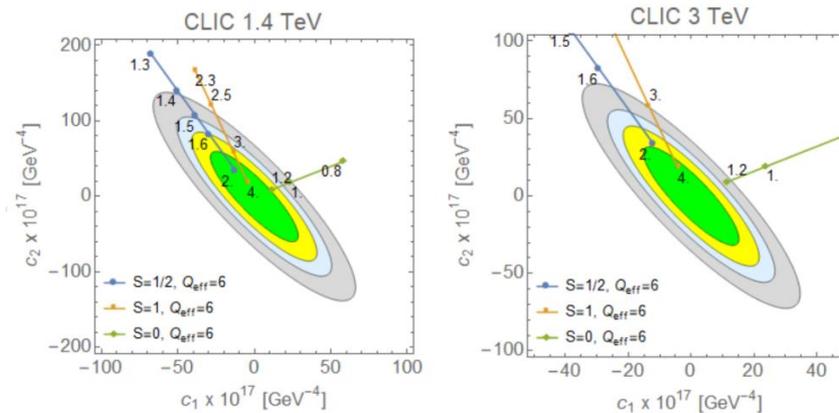


Figure 6: Contours in the (c_1, c_2) plane of 1-, 2-, 3-, and 5- σ significance sensitivities of possible CLIC measurements at centre-of-mass energies of 1.4 TeV (left panel) and 3 TeV (right panel). The potential 5- σ discovery region is shaded grey, and the potential 95% exclusion reach in yellow. Also shown are the lines corresponding to the Heisenberg-Euler contributions of heavy beyond-the-Standard-Model spin 0, 1/2 and 1 particles in blue, orange, and green, respectively, with effective charge $Q_{\text{eff}} = 6$. The dots are labelled with the masses of the particles in units of TeV.

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Conclusion

- SMEFT is a relatively model-independent and systematic framework for mapping the path to BSM
- A high energy lepton collider can take advantage of energy-growing indirect effects of new physics
- Beyond CLIC: what can be learnt about the tens of TeV scale?