

Collider signals of a composite Higgs in the SM4

*or: Heavy Higgs phenomenology with a
"3-prong composite solution" to the SM4*

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Based on: [arXiv:1001.0569 \[hep-ph, 2010\]](https://arxiv.org/abs/1001.0569), Gad Eilam, Amarjit Soni & SBS

Outline

- The “3-prong composite solution” to the SM4
- Heavy (SM4) Higgs phenomenology@LHC in a nutshell
- Decays of a composite Higgs to a single 4th-gen fermion:

– Flavor conserving channels

$$\begin{aligned} & \swarrow H \rightarrow \bar{t}'t'^* \rightarrow \bar{t}'bW^+ + h.c. \\ & \searrow H \rightarrow \bar{b}'b'^* \rightarrow \bar{b}'tW^- + h.c. \end{aligned}$$

– Flavor violating channels

$$\begin{aligned} & \swarrow H \rightarrow t'\bar{t} + h.c. \\ & \searrow H \rightarrow b'\bar{b} + h.c. \end{aligned}$$

- Summary & concluding remarks

The “3-prong composite solution” to the SM4

(figure taken from: Chanowitz, Phys.Rev.D79:113008,2009)

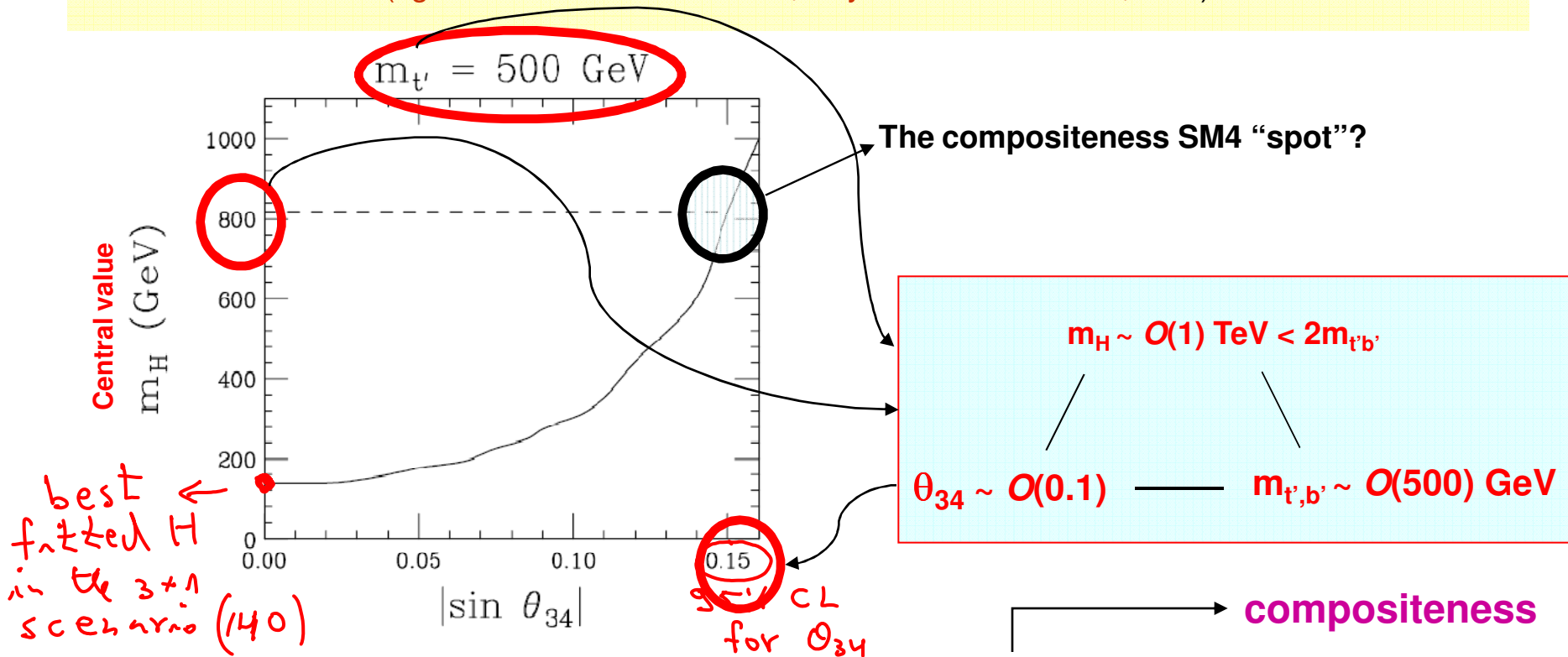


Figure 2: Higgs boson mass as a function of $|\sin\theta_{34}|$ for the global fit to the four family SM4 with $m_t = 500$ GeV. The horizontal line indicates the 95% confidence interval for $|\sin\theta_{34}|$.

Further hints from:

compositeness

Flavor data

Direct searches

$$m_{t'} - m_{b'} \approx \left(1 + \frac{\ln \frac{m_H}{115 \text{ GeV}}}{5} \right) \times 50 \text{ GeV}$$

Hints from compositeness

★ The original idea using the top quark as the agent for EWSB ($t\bar{t}$ condensate) led to the prediction of a too large m_t

Bardeen,Hill,Lindner, PRD41,1647,1990

★ was that a prediction of the (t',b') ?

Compositeness from a 4th Q' & L' condensates ...

Holdom, PRL57, 2496, 1986 & JHEP,0608,076,2006;

Hill,Luty,Paschos,PRD43,3011, 1991;

Hung, Isidori,PLB402,122,1997;

Burdman, Da Rold, JHEP,0712,086,2007;

Hung,Xiong,arXiv:0911.3890 & arXiv:0911.3892;

Hashimoto,Miransky, arXiv:0912.4453

Hints from compositeness

$$H \sim t' \bar{t}'$$

Compositeness:

$$\begin{aligned} m_{t'} &\sim 500 \text{ GeV} \\ &\left\{ \begin{array}{l} \rightarrow \Lambda_L \rightarrow \mathcal{O}(1) \text{ TeV} \\ \rightarrow m_H \rightarrow \sqrt{2} m_{t'} \sim 750 \text{ GeV} \end{array} \right. \end{aligned}$$

Frampton, Hung, Sher, PRep330, 263, 2000;
Carpenter, Norton, Siegemund-Broka, Soni, PRL65, 153, 1990

The search for t', b' is tied up with the search for H !

Support from Flavor data

- ✓ **400 GeV < m_{Q'} < 600 GeV** may help address **CP-asymmetries/anomalies** in **b-quark systems**

Hou,Nagashima,Raz,Soddu, JHEP,0609,012,2006;

Hou,Nagashima,Soddu, PRL95,141601,2005 & PRD76,016004,2007;

Soni,Aluk,Giri,Mohanta,Nandi,arXiv:0807.1971,2008

- ✓ Meson mixings (K,D,B) & $b \rightarrow s\gamma$ allows a **Cabibbo angle** size for θ_{34} with **300 GeV < m_{Q'} < 650 GeV**

Bobrowski,Lenz,Riedl,Rohrwild,PRD79,113006,2009;

Arhib,Hou,JHEP0609,9,2006;

Eilam,Melic,Trampetic,PRD80,116003,2009

Support from direct searches

- ✓ Current CDF limit on the mass of a 4th generation heavy quark:

$$m_{b'} > 340 \text{ GeV}$$

T. Aaltonen et al. (CDF collaboration), arXiv:0912.1057 [hep-ex]

- ✓ Higgs searches at the Tevatron via $H \rightarrow WW$ imply that

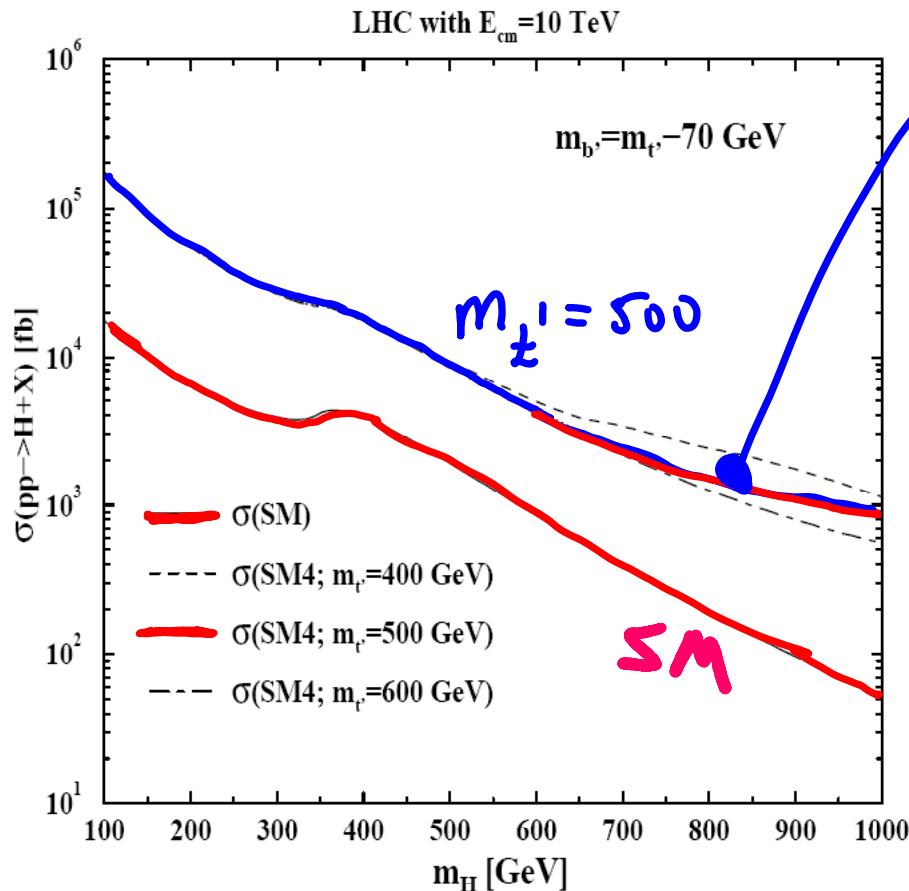
$m_H(\text{SM4})$ is heavier than $\sim 200 \text{ GeV}$

(if not found within the window 115 – 140)

www-d0.fnal.gov/Run2Physics/WWW/results/prelim/HIGGS/H21

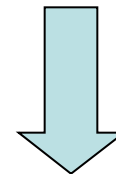
Heavy Higgs pheno@LHC in a nutshell

❖ With $m_{Q'} \sim 500$ GeV & $m_H < 2m_{Q'}$, heavy H decays still dominated by $H \rightarrow ZZ, WW, tt$



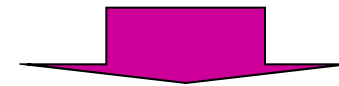
$$\Delta(\sigma(pp \rightarrow H+X)) \sim \mathcal{O}(1000) \text{ fb}$$

$m_H = 800 \text{ GeV}$



Factor of 10 enhancement

\Rightarrow handy for a TeV scale H



“Golden mode” $H \rightarrow ZZ \rightarrow 4\mu$ remains a useful Higgs discovery channel “all the way”

Decays of a composite Higgs to a single 4th-gen fermion

(the leading probes of the HQ'Q' Yukawa couplings)

❖ Flavor conserving channels:

$$H \rightarrow \bar{t}'t'^* \rightarrow \bar{t}'bW^+ + h.c. \quad \& \quad H \rightarrow \bar{b}'b'^* \rightarrow \bar{b}'tW^- + h.c.$$

❖ Flavor violating channels:

$$H \rightarrow t'\bar{t} + h.c. \quad \& \quad H \rightarrow b'\bar{b} + h.c.$$

Assume: $V_{tb} = V_{t'b'} = 1$ & $\theta_{34} \equiv V_{tb'} = V_{t'b} \gg V_{t'd}, V_{t's}, V_{ub'}, V_{cb'}$.
 $\hookrightarrow \text{BR}(t' \rightarrow bW), \text{BR}(b' \rightarrow tW) \sim 1$

Flavor conserving channels

“Naively” (with $m_H < 2m_{t'}, 2m_{b'}$) the 3-body flavor conserving decays lead to:

$$\left. \begin{aligned} BR(H \rightarrow t'\bar{t}'^*) &\sim BR(H \rightarrow t'\bar{b}W^- \rightarrow (bW^+)_{t'}\bar{b}W^-) \\ BR(H \rightarrow b'\bar{b}'^*) &\sim BR(H \rightarrow b'\bar{t}W^+ \rightarrow (tW^-)_{b'}\bar{t}W^+) \end{aligned} \right\} \sim 10^{-6} - 10^{-5}$$

BUT:

dramatically enhanced due to finite (large) width effects of the heavy Higgs ...

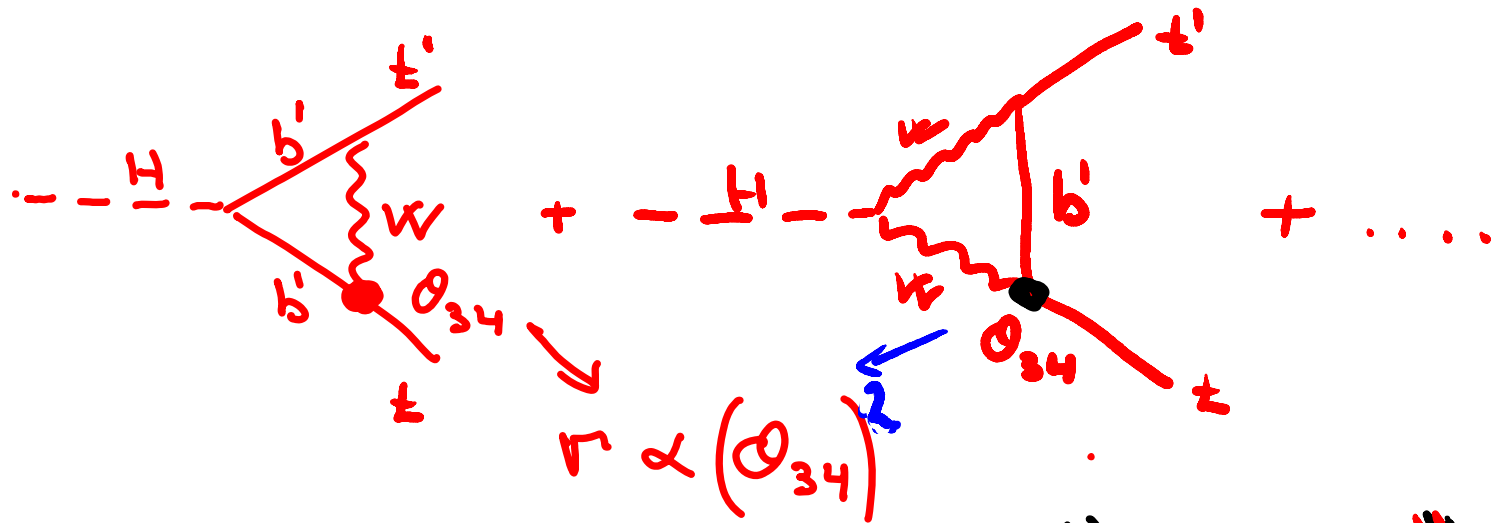
e.g., in resonance Higgs production through gg-fusion

$$\begin{aligned} gg &\rightarrow H \rightarrow \bar{t}'t'^* \rightarrow \bar{t}'bW^+ + h.c. \\ gg &\rightarrow H \rightarrow \bar{b}'b'^* \rightarrow \bar{b}'tW^- + h.c. \end{aligned}$$

Flavor changing channels

Note: 1. the case $H \rightarrow b'b$ @ $m_H < 100$ GeV mentioned in [Haeri, Soni, Eilam, PRL 62, 719, 1989](#)

2. the cases $t' \rightarrow tH$ & $b' \rightarrow bH$ (i.e., $m_{t',b'} > m_H$) extensively studied



* dominated by b' exchange \rightarrow "GIM free"

* Similarly for $H \rightarrow b'b$ (t' -exchange dominates...).

Motivation

An estimate of the **FC 1-loop** $H \rightarrow U\bar{u}$ width in the limit that only the heaviest d-type quark (D) runs in the loop
(multiply by the appropriate GIM-suppression factor):

$$\Gamma(H \rightarrow U\bar{u}) \sim \left(\frac{|V_{UD}^* V_{uD}|}{16\pi^2} \right)^2 \left(\frac{g^2}{4\pi} \right)^3 \left(\frac{m_D}{m_W} \right)^4 m_H$$

$$\xrightarrow{m_b \sim 500 \text{ GeV}, V_{t'b'} \sim 1, \theta_{34} \sim 0.15} 10^9 !$$

$$\rightarrow BR_{SM}(H \rightarrow t'\bar{t}) \sim 10^9, BR_{SM}(H \rightarrow tc) \sim 10^{-4} !$$

Note:

not “good enough” for $\Gamma_{SM4}(H \rightarrow tc)$

$$BR_{SM4}(H \rightarrow tc) \sim V_{cb}^2 \cdot 10^9 \cdot BR_{SM}(H \rightarrow tc) \xrightarrow[V_{cb} \sim 0.03-0.04]{\text{at best}} 10^{-7}$$

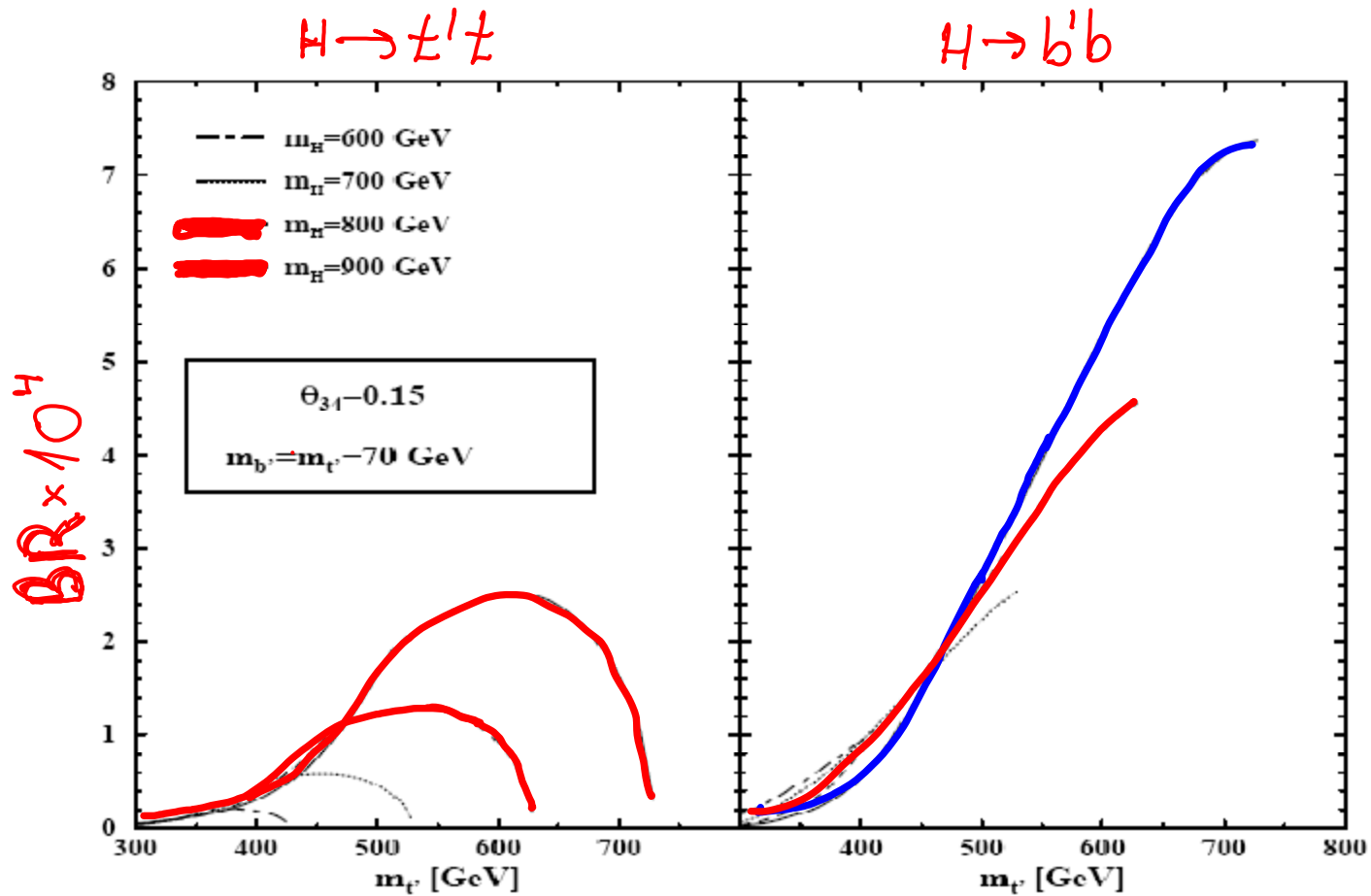
Eilam, Melic, Trampetic, PRD80, 116003, 2009

one typically finds:

$$10^{-4} < \text{BR}(t' \rightarrow tH) , \text{BR}(b' \rightarrow bH) < 10^{-2}$$

Haeri,Soni,Eilam,PRL62,719,1989; Hou,Stuart,PRL62,617,1989 & NPB320,277,1989 & PLB233,485,1989 & NPB349,91,1991 & PRD43,3669,1991; Sher,PRD61,057303,2000; Arhrib,Hou,PRD64,073016,2001; Arhib,Hou,JHEP0609,9,2006; Eilam,Melic,Trampetic,PRD80,116003,2009;

Typically, $BR \sim 10^{-4} - 10^{-3}$ for $\theta_{34} = 0.15$



★ Expecting **tens** such $H \rightarrow tt'$ & $H \rightarrow bb'$ events @LHC which is able to produce 10^5 TeV-scale Higgs a year with $O(100) \text{ fb}^{-1}$

Estimate H-width effects in $gg \rightarrow H \rightarrow F$ using the relativistic Breit-Wigner resonance formula:

$$\hat{\sigma}_H(\hat{s}) = \hat{\sigma}_{gg}(\hat{s}) \cdot \hat{s} \cdot \hat{B}\hat{W}(\hat{s}) \cdot BR(H \rightarrow F)(\hat{s})$$

$$\hat{\sigma}_{gg}(\hat{s}) = \frac{\pi^2}{8m_H^3} \Gamma(H \rightarrow gg)$$

$$\hat{B}\hat{W}(\hat{s}) = \frac{m_H \Gamma_H / \pi}{[(\hat{s} - m_H^2)^2 + m_H^2 \Gamma_H^2]}$$

$$m_H \Gamma_H \rightarrow \sqrt{\hat{s}} \Gamma_H(\hat{s})$$

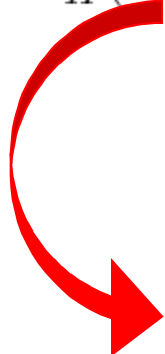
$$\Gamma_H(\hat{s}) = \sqrt{\hat{s}} \Gamma_H / m_H$$

$$\hat{\sigma}_H(\hat{s}) = \frac{\pi (\hat{s}/m_H^2) \Gamma(H \rightarrow gg)(\hat{s}) \Gamma(H \rightarrow F)(\hat{s})}{8 [(\hat{s} - m_H^2)^2 + (\hat{s} \Gamma_H / m_H)^2]}$$

Estimate H-width effects by integrating $\hat{\sigma}_H(\hat{s})$
 over some **finite range around resonance**
 i.e., depending on the Higgs mass/width

$$\sigma_H(t'bW) \equiv pp \rightarrow H + X \rightarrow t't'^* + h.c. + X \rightarrow t'bW^+ + h.c. + X$$

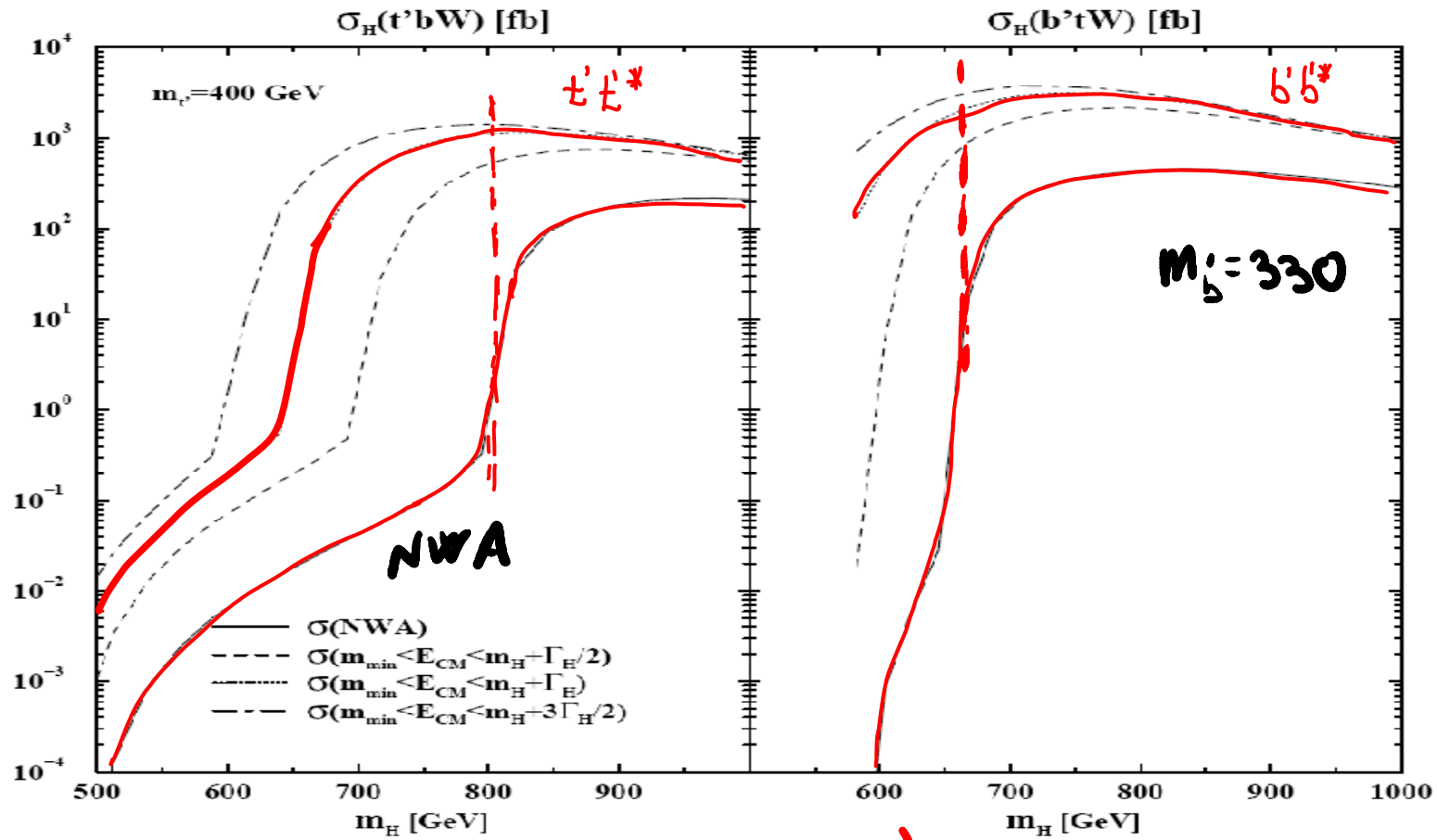
$$\sigma_H(b'tW) \equiv pp \rightarrow H + X \rightarrow b'b'^* + h.c. + X \rightarrow b'tW^- + h.c. + X$$



$$\sigma_H = \int_{\tau_{min}}^{\tau_{max}} \frac{dL}{d\tau} \hat{\sigma}_H d\tau$$

$$\frac{dL}{d\tau}(\hat{s} = \tau s) \equiv \int_{\tau}^1 \frac{dx}{x} g(x, \hat{s}) g\left(\frac{\tau}{x}, \hat{s}\right)$$

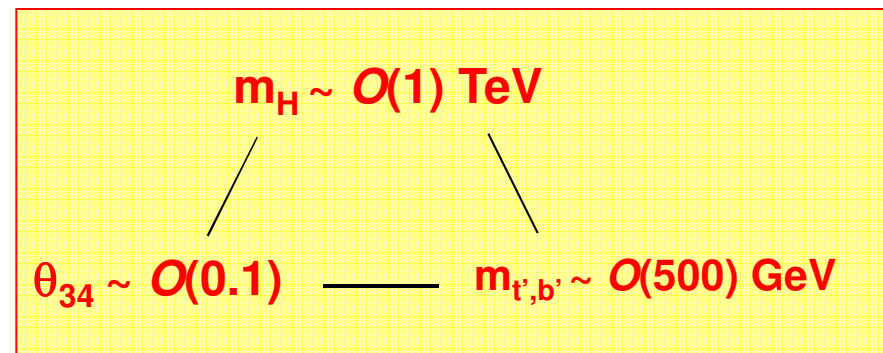
huge effects near threshold crossover
independent of \mathfrak{g}_{34} ...



e.g. $\Delta_H (pp \rightarrow H \rightarrow t'bW) \sim 300 \text{ fb}$
 (where $\Delta_H (\text{NWA}) \sim 0.03 \text{ fb}$) at $m_H \sim 700 \text{ GeV}$
 $m_t \sim 400 \text{ GeV}$

Summary & concluding remarks

- Precision EW data + flavor data may be telling us that **compositeness & SM4** are linked in a “3-prong composite solution”:



- t' & b' (& perhaps also t) are viewed as **agents of EWSB**
- t' & b' strong Yukawa couplings are probed in **H-decays to a single t' & b'**

- **Interesting phenomenological implications:**

- **Effects of the large Higgs width dramatically enhance**

$$H \rightarrow t't'^* \rightarrow t'bW \quad \& \quad H \rightarrow b'b'^* \rightarrow b'tW$$

expecting up to 10^5 such events @LHC with $O(100) \text{ fb}^{-1}$ via the gluon-fusion channel

$$gg \rightarrow H \rightarrow t'bW, b'tW$$

- **This mechanism is particularly interesting for heavy $O(500) \text{ GeV}$ 4th-gen. leptons, e.g.**

enhanced $H \rightarrow \nu'\nu'^* \rightarrow \nu'\mu W \rightarrow 4\mu + \cancel{E}_T$ can compete with the “golden mode” $H \rightarrow ZZ \rightarrow 4\mu$

- **Single t', b' production channels $gg \rightarrow H \rightarrow t'bW, b'tW$ may be rich in exhibiting various types of CP-asymmetries in analogy to CPV in single top production ...**

– a large θ_{34} might lead to

$$\text{BR}(H \rightarrow t't) \ \& \ \text{BR}(H \rightarrow b'b) \sim 10^{-4} - 10^{-3}$$

potentially observable @LHC with $O(100) \text{ fb}^{-1}$

these are the **only** FC channels with potentially observable rates ...

So don't be discouraged by the fact that m_H might be smaller than $2m_Q$,
i.e., **no** $H \rightarrow Q'Q'$

If $m_H \sim O(1) \text{ TeV}$ then one can still probe its decays to 4th
generation fermions,
thanks to either its large width or to a large θ_{34}