





Computing properties of Pt surfaces for understanding electron emission

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Fowler-Nordheim picture



 Fowler-Nordheim emission (empirical)

$$J = \frac{A\beta^2 E^2}{\varphi} \exp\left(-\frac{B\varphi^{3/2}}{\beta E}\right)$$

- Current density **J** (*E*, ϕ , *A*, β)
- *E* field
- ϕ work function
- Empirical fitting parameters: β
- β varies from 10-1000 inside exponential



Work function has spatial variability Structure folded into empirical β -factor

Our goals ...

- (1) understand local structure on Pt surfaces
- (2) correlate local structure with local work function
- (3) and augment empiricism with finer understanding
- (4) add adsorbates and contaminants, and repeat

Pt thin films – structure to emission



Structure ...

... to work function spatial variation

topography (AFM)



photoemission electron microscopy (PEEM)



Simple Pt surfaces ... are not simple



- All low-Miller-index Pt surfaces reconstruct
 - Pt(100) reconstructs to dense, close-packed hexagonal surface
 - Pt(110) reconstructs to (2x1) or (3x1) missing row
 - Pt(111) into 8% denser incommensurate hexagonal (high-T, or high-Pt)
 - "Simple surfaces" are complicated
- Our surfaces are polycrystalline! (though 111-oriented)
- Growth on real Pt(111) surfaces is not planar (111)! M. Kalff et al. / Surface Science 426 (1999) L447-L453



Fig. 1. STM topographs of Pt/Pt(111) after growth at 440 K with R= 7× 10-3ML s-1. (a) 0.3 ML, (b) 3 ML, (c) 12 ML, (d) 90 ML. The scan size in (a)–(d) is 2590× 3450 Å2

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Heterogeneity in structure \rightarrow variations in Φ

Jung, etal, APL 83, 2160 (2003)



FIG. 1. Sideview SEM micrographs of hillocks in the Pt/Ti electrode stack after annealing. Annealing temperatures were (a) $450 \,^{\circ}$ C, (b) $500 \,^{\circ}$ C, (c) $600 \,^{\circ}$ C, and (d) $650 \,^{\circ}$ C. The angle between the basal plane and facet of the hillock is about 55° , as indicated in (d).





The goal of DFT are to augment empiricism with finer understanding

- Characterize surface structure of clean Pt
 what are the common surface structures on "real" Pt surfaces?
- Correlate local structure with local work function
 how does local structure affect local work function?
- Establish baseline understanding between theory and STM/PEEM
- How do features and structure affect emission and arc initiation?
 band structure for device simulations, field enhancement at features?
- How do adsorbates/contaminants affect these?





- 1. Choose DFT code, functional, pseudopotential
 - SEQQUEST Sandia-developed pseudopotential DFT code
 - local orbital "LCAO" basis need "floating orbitals" for surfaces
 - LDA, PBE, PW91, and AM05 functionals
- 2. Optimize bulk fcc properties: a₀ and B
 - verify convergence
- 3. Create surface models thin flim "slab"
 - thickness of N layers test convergence
 - define surface k-sampling, real space grids, etc verify sufficiency
- 4. Compute slab energy: $E_{surface} = (E_{slab} N^*E_{bulk}) / 2$

5. Extract surface properties, esp. work function Φ {surface}



Some DFT surface calculation issues



- JC Boettger, PRB 49, 16798 (1994); JCB, etal, JPCM 10, 893 (1998).
 "non-convergence" of surface energy from bulk-referenced slabs.
- Fiorentini and Methfessel JPCM 8, 6525 (1996).
 use extrapolation/fits to increasing thick slab to get surface E
- Fall, Binggeli & Baldereschi, JPCM **11**, 2689 (1999). - work functions from extrapolations (AI to 14 layers)
- Da Silva, Stampfl, & Scheffler, SS 600, 703 (2006).
 "direct method" with bulk and slab with "Same high accuracy"
- Singh-Miller and Marzari, PRB **80**, 235407 (2009). - compare "Boettger", extrapolation, and "direct" methods
- Lazar and Oteypka, PRB **91**, 115402 (2015).
 - functionals for accurate surface E (EXX+RPA) only up to 8 layers!

Non-convergence issues





FIG. 2. (Color online) Surface energy versus slab thickness for the Pd(100) surface calculated with the methods of Boettger (Ref. 8), Fiorentini and Methfessel (Ref. 64), and directly from Eq. (1) with two different values for E_{bulk} .

Extrapolated fit of E_{bulk}

- thick slabs to establish convergence, fit E_{bulk}
- impractical for large surface cells

And then functional/methods accurate enough?

- LDA (mostly) correct numbers, but wrong physics
- PBE better physics, but wrong numbers
- AM05 targeted for surface properties (Mattsson/SNL)
- EXX+RPA computationally impractical

Refined method for DFT surface calculations





- AM05 functional tailored to surfaces (but also PBE and LDA)
- Use converged fcc bulk a₀
- Developed "surface-consistent" bulk reference E_{bulk}{k;surf}

 $E_{surface} = (E_{slab} - N^*E_{bulk}) / 2$



Side excursion: AI(100) – Bulk reference energy





Use large k_z-limit average of slab-consistent bulk reference cell energy

Al(111) surface energy



Coarse k=8x8 and dense high-accuracy k=21x21 all converge quickly



"Direct" slab-consistent bulk reference energy solves convergence

Al(100) surface energy - cautions





Must monitor "bulk reference"! In k=8x8xk_z bulk a₀ changes!

Al surfaces properties: verification/validation



| | Al(100) | | Al(111) | | Al(110) | | |
|------------------------------|------------|---------------------|------------|-------------------|----------|-------------------|--|
| | σ | Φ | σ | Φ | σ | Φ | |
| | Experiment | | | | | | |
| | _ | $4.42(\pm .03)^{a}$ | 0.51^{b} | $4.42(\pm .03)^a$ | _ | $4.12(\pm .03)^a$ | |
| | | LDA | | | | | |
| $Unrelaxed^{c}$ | 0.54 | 4.53 | 0.41 | 4.27 | 0.82 | 4.22 | |
| $\operatorname{Relaxed}^{c}$ | 0.54 | 4.49 | 0.41 | 4.26 | 0.81 | 4.22 | |
| Fall $(1998)^d$ | _ | 4.38 | _ | 4.25 | _ | 4.30 | |
| Da Silva $(2006)^e$ | _ | — | 0.39 | 4.21 | — | _ | |
| | PBE | | | | | | |
| $Unrelaxed^c$ | 0.47 | 4.34 | 0.35 | 4.12 | 0.71 | 4.07 | |
| $\operatorname{Relaxed}^{c}$ | 0.46 | 4.34 | 0.35 | 4.11 | 0.70 | 4.07 | |
| Da Silva $(2005)^f$ | 0.48 | 4.24 | 0.36 | 4.06 | 0.72 | 4.07 | |
| Da Silva $(2006)^c$ | _ | _ | 0.33 | 4.04 | _ | 4.04 | |
| Singh-Miller $(2009)^c$ | 0.45 | 4.30 | 0.30 | 4.02 | 0.70 | 4.09 | |
| | AM05 | | | | | | |
| $Unrelaxed^{c}$ | 0.54 | 4.34 | 0.42 | 4.10 | 0.83 | 4.04 | |
| $\operatorname{Relaxed}^c$ | 0.54 | 4.33 | 0.41 | 4.10 | 0.82 | 4.04 | |
| | PW91 | | | | | | |
| $Unrelaxed^{c}$ | 0.44 | 4.38 | 0.34 | 4.14 | 0.67 | 4.10 | |
| $\operatorname{Relaxed}^{c}$ | 0.44 | 4.35 | 0.33 | 4.12 | 0.66 | 4.10 | |

(a). Ref. 9, converted from quoted 1.14 J/m² to eV/atom using $a_0(293K)=4.05$ Å.

(b) Ref. 10.

(c) This work, quoting large k_{\parallel} and slab thickness (17-35 layers) average.

(d) Ref. 11 using a norm-conserving pseudopotential code with 9 (for 111) or 8 (100,110) layers.

(e) Ref. 7, using a full-potential code with 7 layers (for the Al(111) surface).

(f) Ref. ? , using a full potential code with from 15 (for 111), to 23 (110) layers.

(g) Ref. 8. using a norm-conserving pseudopotential plane wave method code with 13 layers.

Local orbital methods with "floating orbitals" verified (cf. plane wave) Sense of expected accuracy (validation) of DFT on known surfaces

Pt ideal surface convergence





Surface energy for ideal surface converges quickly So does the work function Φ Passes verification checks – better behaved than Al

(110) missing row reconstruction





(110) – (2x1) missing row





(110) – (3x1) missing row





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(110)-(8x1) missing row - (111) nano-terraces





• (110) - (N x 1) missing row reconstruction ...

- directly maps to (111) terraces separated by ridges
- if including counting the first **two** (110) layers in atom count

(110) – (N x 1) computational model



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tories

To guarantee 9 layers (111), need $2 \times 9 = 18$ layers of (110)

(N x 1)-Pt(110) missing row reconstructions





Thermodynamics/kinetics vs. internal energy There is a step-creation cost on the flat (111)

Thermodynamic tendency to form (111) stepped regions - pyramids



Work functions of Pt surfaces



| | σ (eV/atom) / Φ (eV) | | | | |
|-----------------|----------------------------------|-------------|--------------------|----------------|--|
| | | (110) | (111) | (100) | |
| Experiment | | — /5.35 | 1.03/6.08 | — /5.82 | |
| Singh-Miller'09 | (PBE) | 1.30/5.26 | 0.65/5.69 | 0.90/5.66 | |
| Da Silva'06 | (PBE) | _ / _ | 0.71/5.69 | | |
| | (LDA) | — / — | 0.91/6.06 | | |
| Our work | (LDA) | 0.88/5.71 | 0.86/6.14 | 1.20/5.74 | |
| | (PBE) | 0.69/5.35 | 0.67/5.79 | 0.95/5.74 | |
| | (AM05) | 0.79/5.36 | 0.77/5.79 | 1.09/5.75 | |
| Pt(110): (2x1 |)(3x1)(| (4x1) (5x1) | (6x1) (8x1) (10x1) | (12x1) Pt(111) | |
| Φ (eV) 5.49 | 5.55 | 5.59 5.63 | 5.65 5.66 5.69 | 5.69 5.79 | |

Distances between steps/ridges tunes work function

Summary

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- New "slab-consistent" bulk reference approach is robust
- Pt(110) (2x1) and (3x1) correctly predict reconstructions
 per atom energy lower than Pt(111)
- Pt(110)-like ridges/Pt(111) terraces are likely common features
 explaining non-uniform growth, pyramids
- Work function tuned by step/ridge density, terrace widths
- Even AM05 surface functional strangely has trouble with Pt(111)