

# Review diffractive and electromagnetic processes in ATLAS

Laurent Schoeffel

Some time ago in H1/HERA (DVCS -1999-2009 –all H1 papers-, F2D 2004-2012 –the HERA2 paper-)  
Now, involved in many ATLAS analyses:

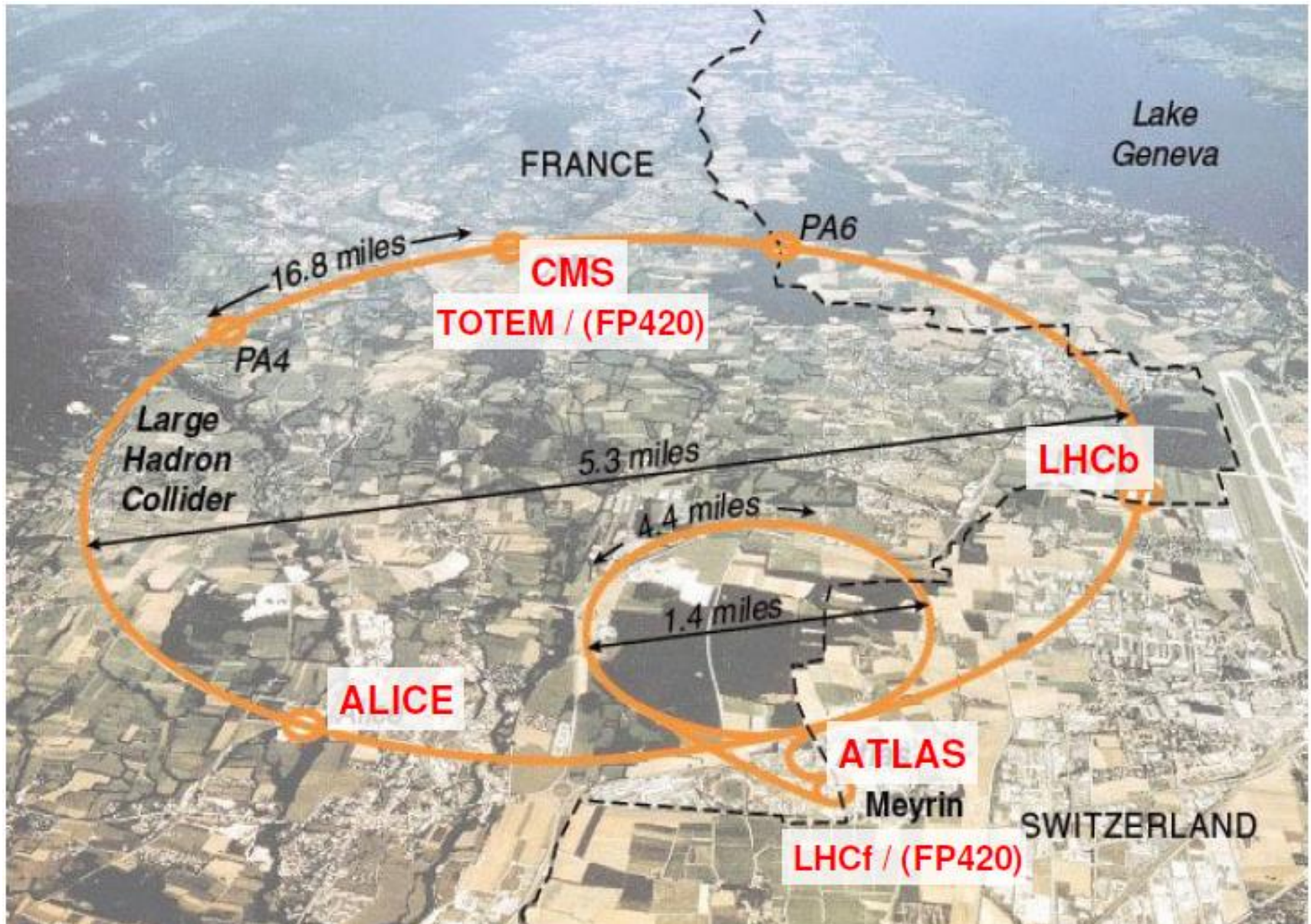
convener of the physics group related to QCD and EM processes

CEA Irfu/SPP

France

**International WE-Heraeus Physics School (2015)**  
**August 2015**

# The LHC experiments





40

40

MAIN ENTRANCE ←

MAIN ENTRANCE →

# The total cross section at the LHC

## A short anatomy of pp collisions

$$\sigma_{tot} = \sigma_{el} + \sigma_{in}$$

$$\sigma_{in} = \sigma_{parton} + \sigma_{SD} + \sigma_{DD} + \sigma_{DPE}$$

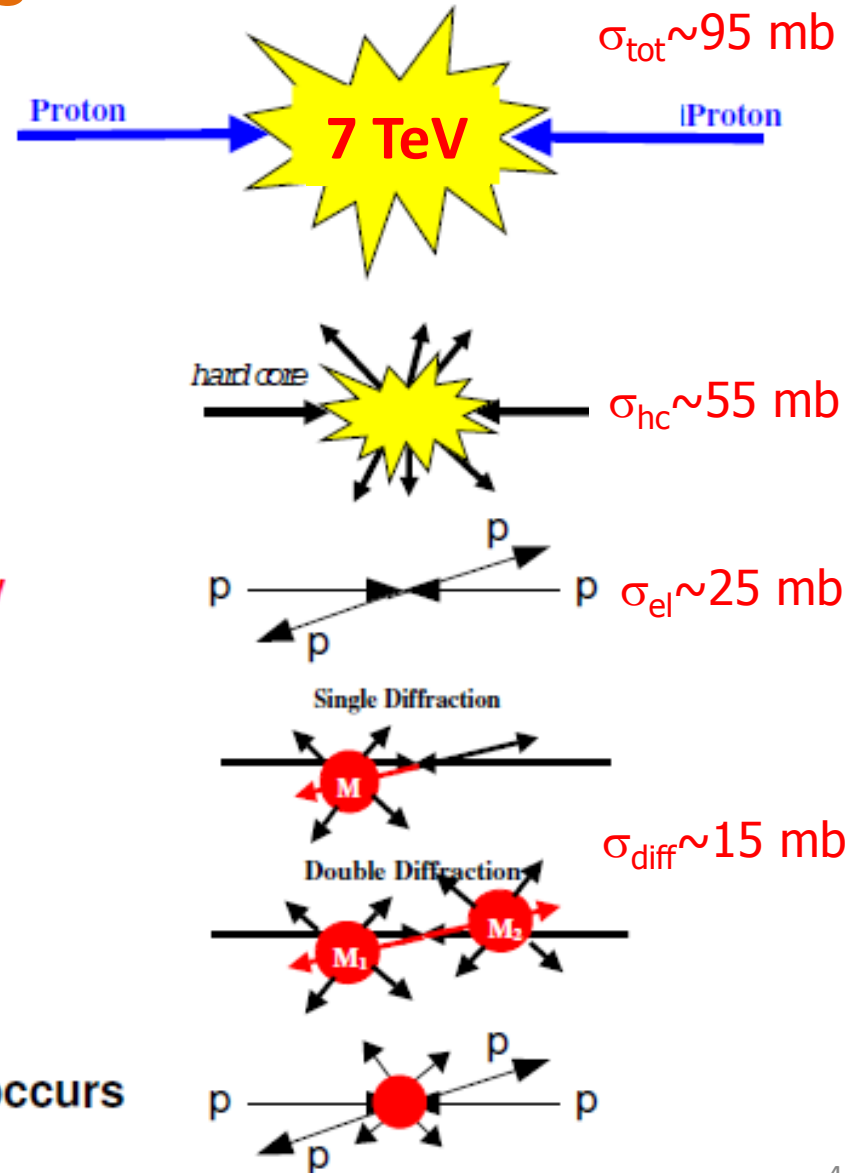
~60% of the time a “hard” collision occurs

~25% of the time the protons scatter elastically

~10% of the time single diffraction occurs

~1% of the time double diffraction occurs

~1% of the time central (exclusive) diffraction occurs



# The total cross section at the LHC

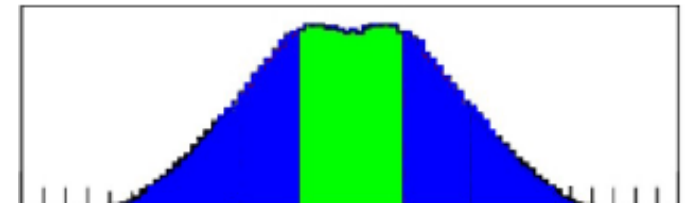
## A short anatomy of pp collisions

$$\sigma_{tot} = \sigma_{el} + \sigma_{in}$$

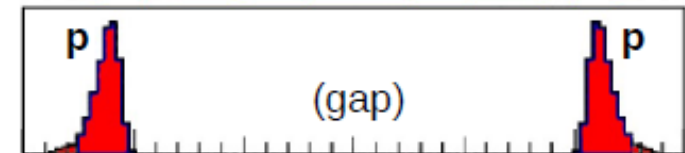
$$\sigma_{in} = \sigma_{parton} + \sigma_{SD} + \sigma_{DD} + \sigma_{DPE}$$



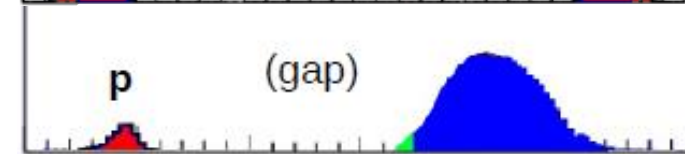
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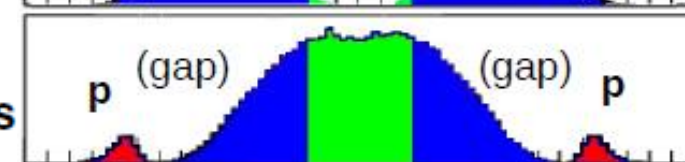
~10% of the time single diffraction occurs



~1% of the time double diffraction occurs

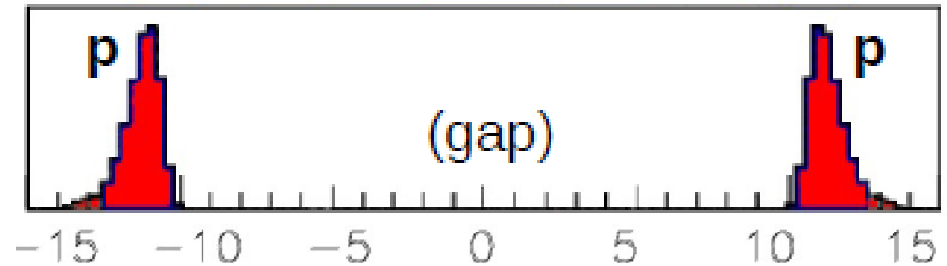


~1% of the time central (exclusive) diffraction occurs



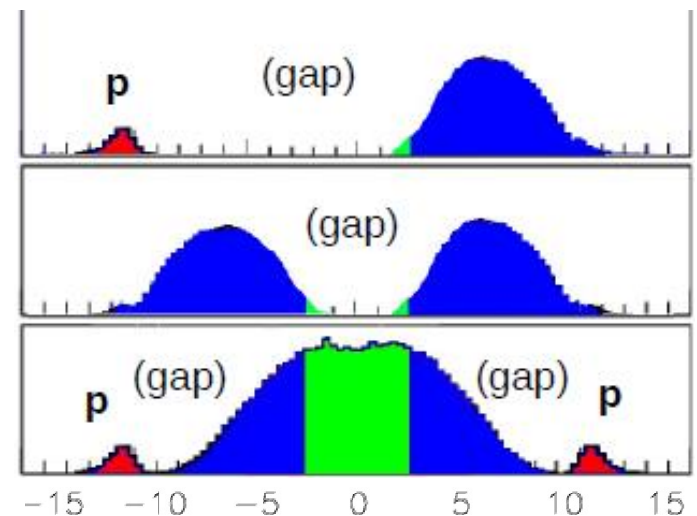
# Experimental techniques

- Either we measure scattered protons using forward detectors

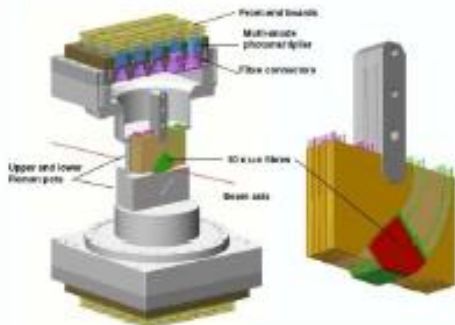
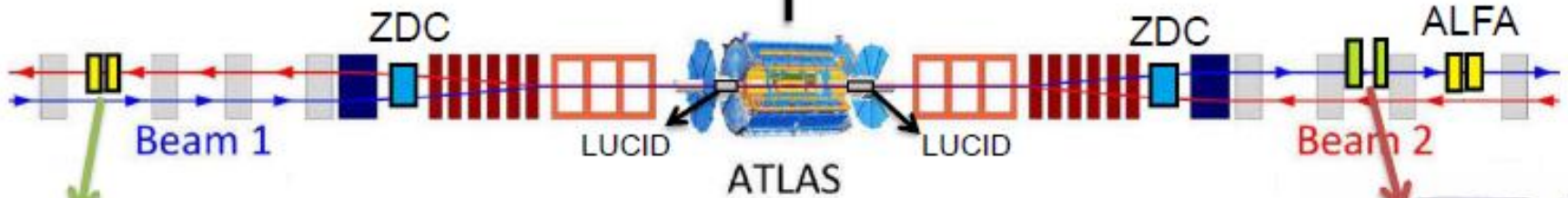
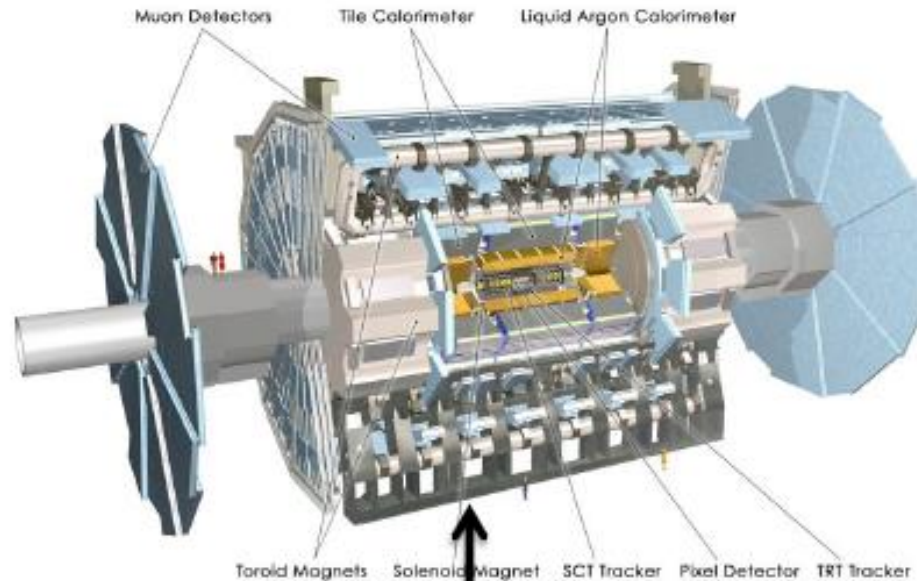


- Or we measure GAPs (veto on particles and/or energy flow)

This needs a large pseudo-rapidity coverage...



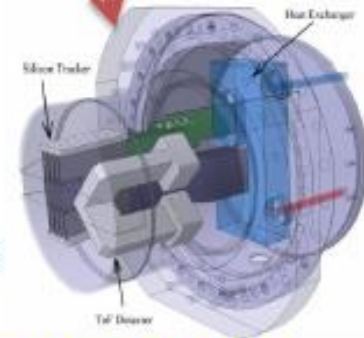
# Central/forward detectors in ATLAS



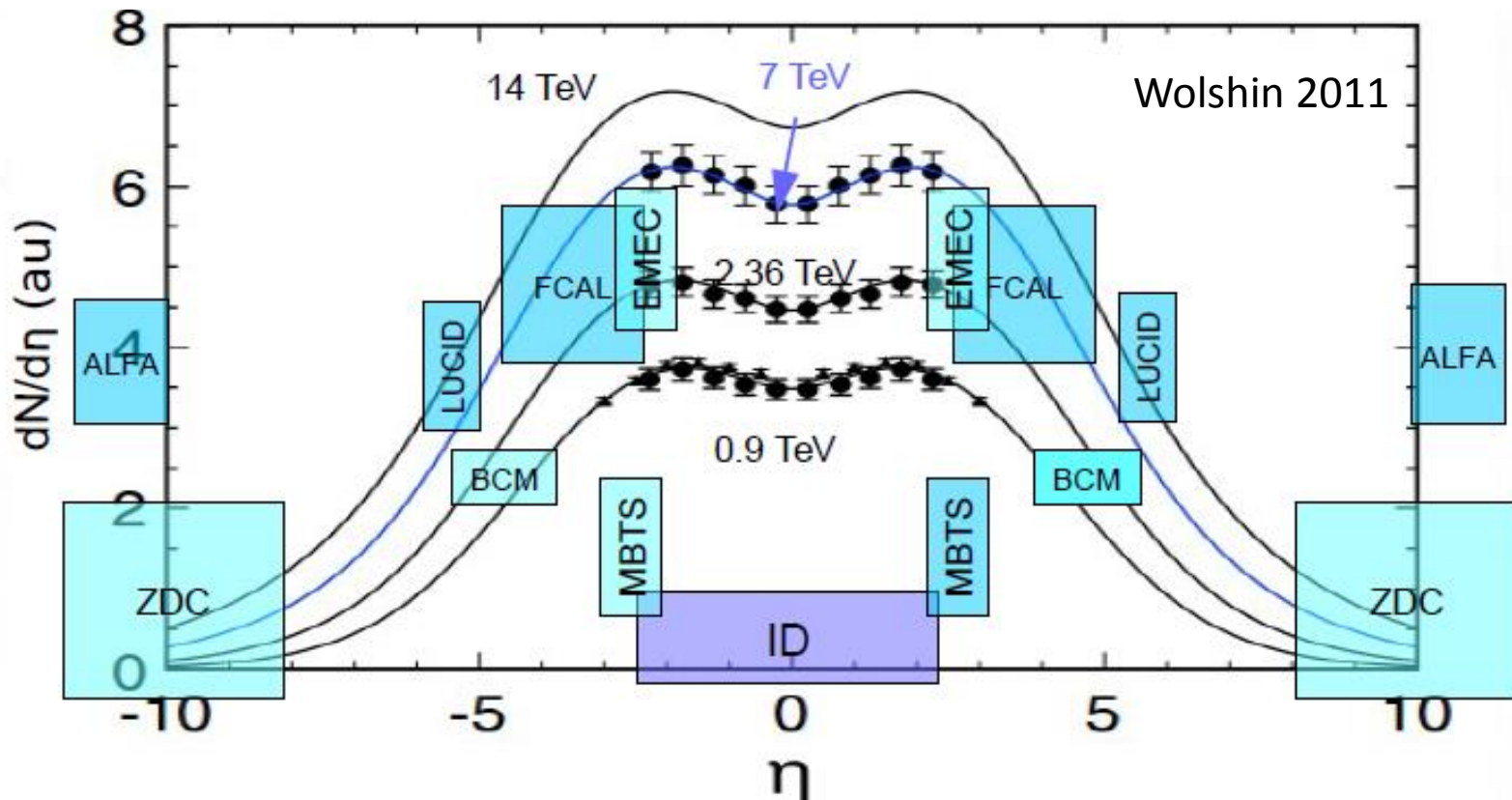
**ALFA:**  
elastic protons  
measurement

**AFP:**  
diffractive protons  
measurement.  
A first-phase installation  
in 2016.

[CERN-LHCC-2015-009; ATLAS-TDR-024](https://cds.cern.ch/record/2344117/files/CERN-LHCC-2015-009;ATLAS-TDR-024)



# Pseudo-rapidity coverage



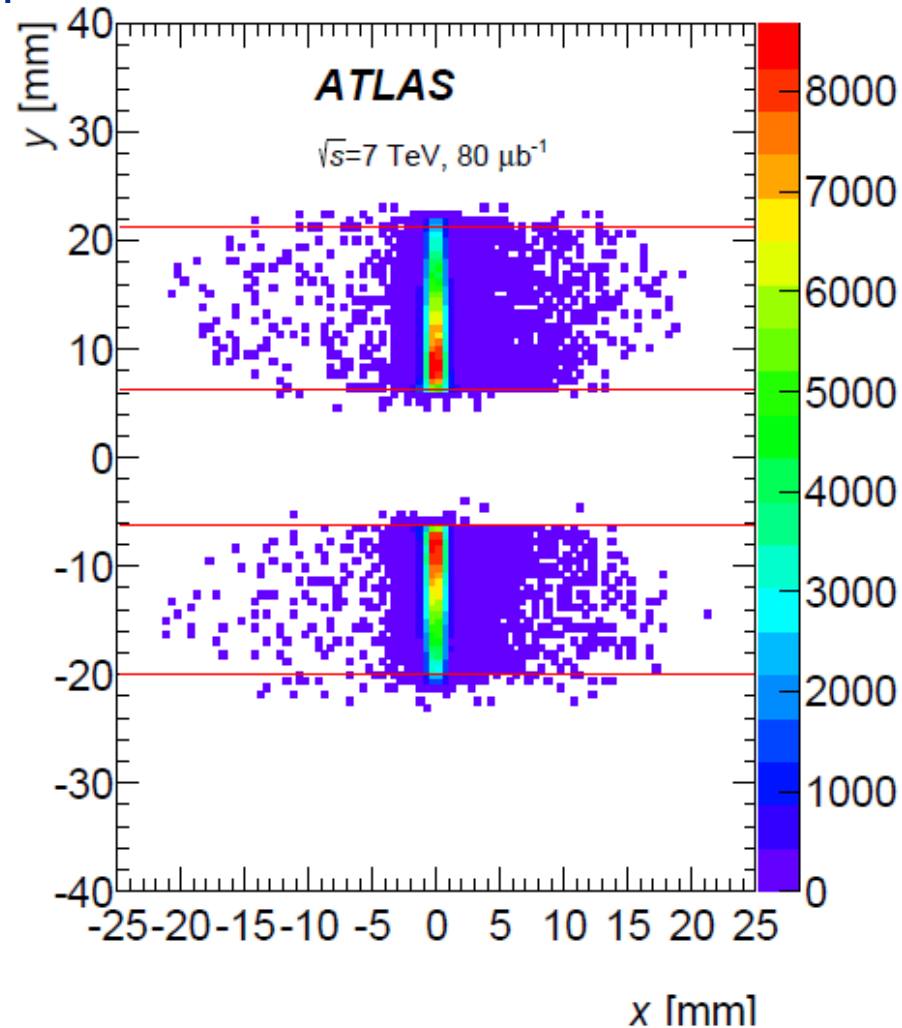
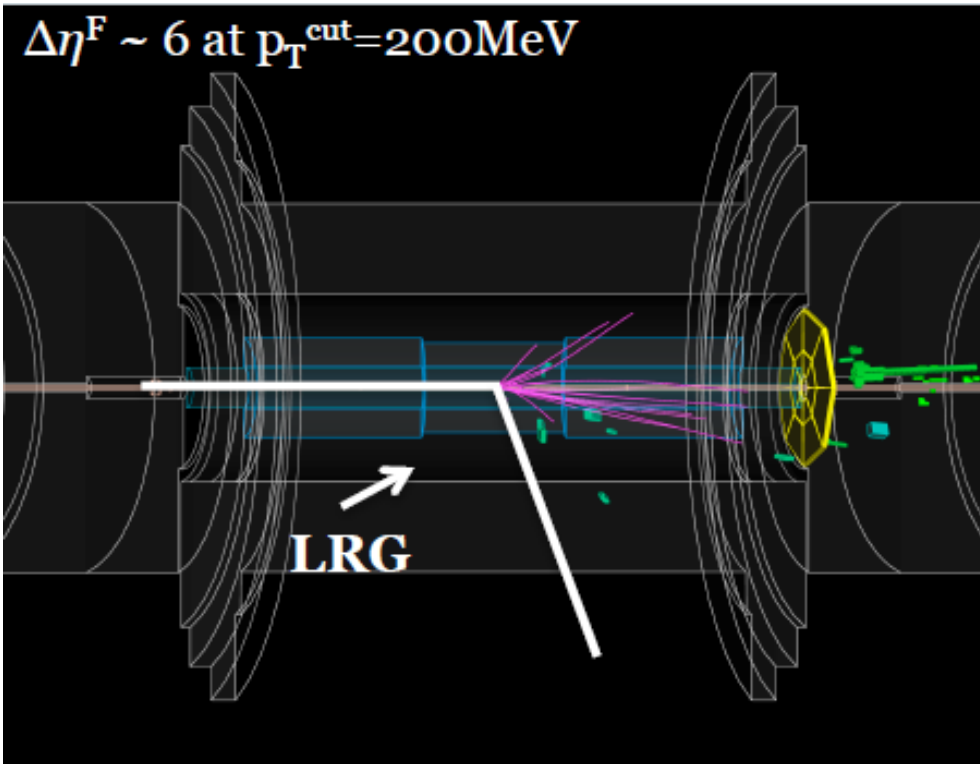
Detector	$\eta$ coverage	Detector	$\eta$ coverage
ID (Pix + SCT)	$ \eta  < 2.5$	BCM	$ \eta  = 4.2$
ID (TRT)	$ \eta  < 2.0$	LUCID	$5.6 <  \eta  < 6.0$
MBTS	$2.08 <  \eta  < 3.75$	ZDC	$ \eta  > 8.3$
Calo: EMEC	$2.5 <  \eta  < 3.2$	ALFA	$10.6 <  \eta  < 13.5$
Calo: FCal	$3.1 <  \eta  < 4.9$		



# LRG (large Rapidity Gaps) and proton tags

## A short anatomy of pp collisions / examples...

This will be covered in this presentation

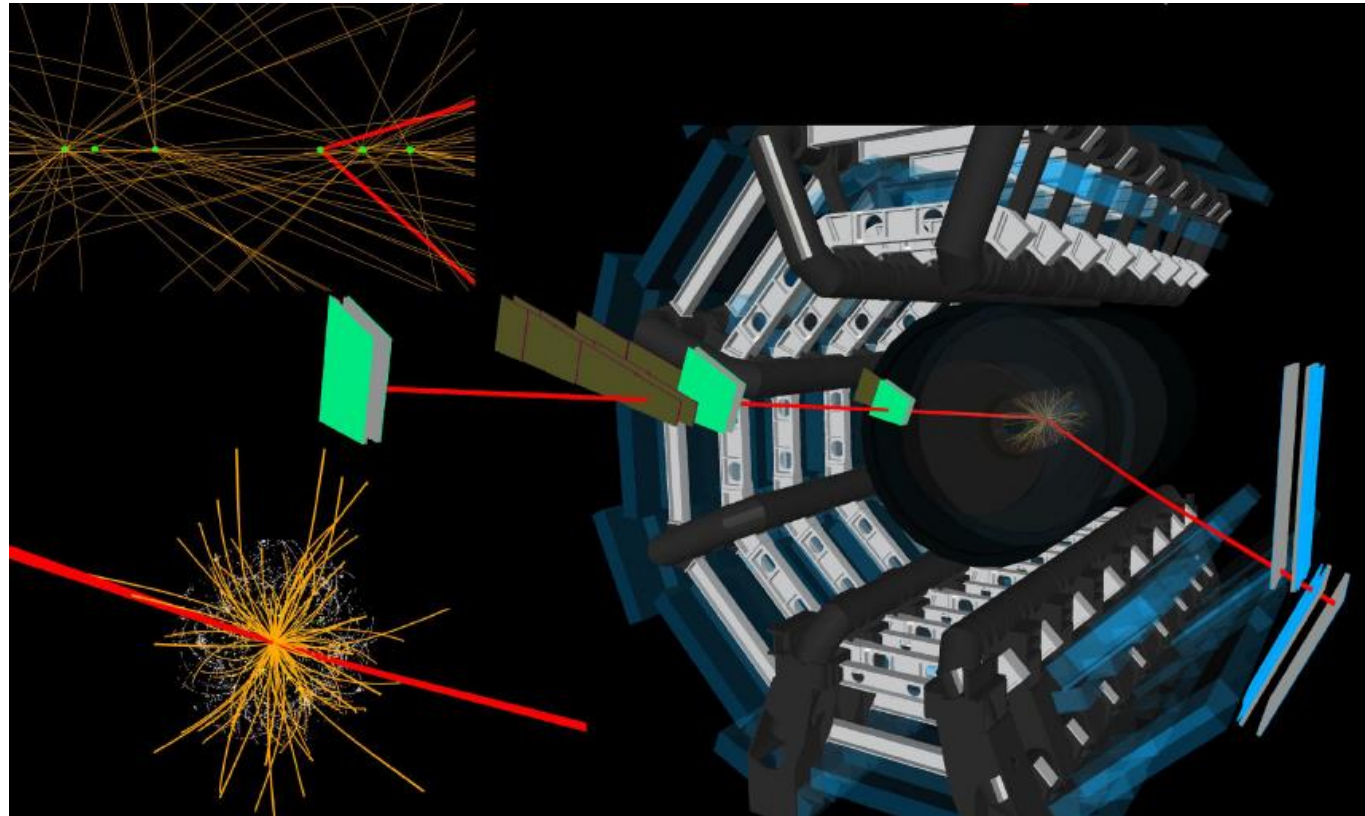
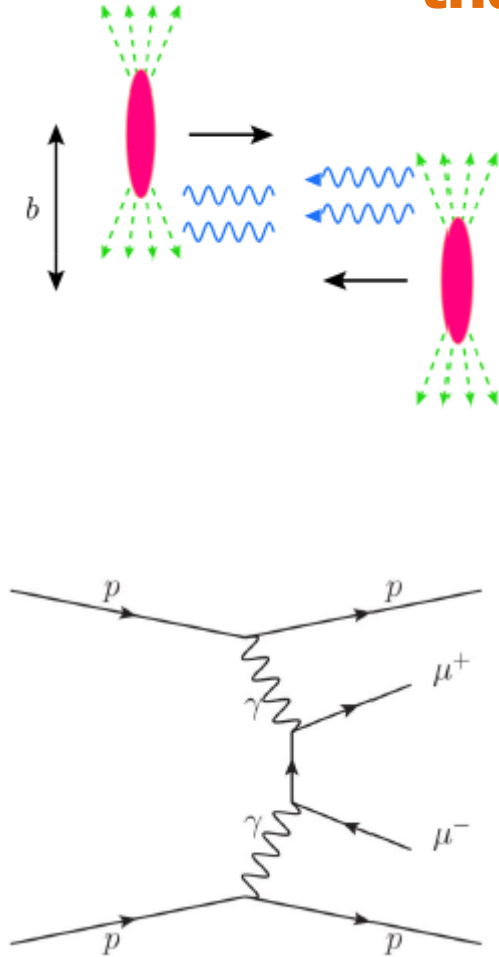


■ Cross sections in mb

# Many other processes (EM) possible

that can produce GAPs and/or 'intact' protons

This will be covered in this presentation

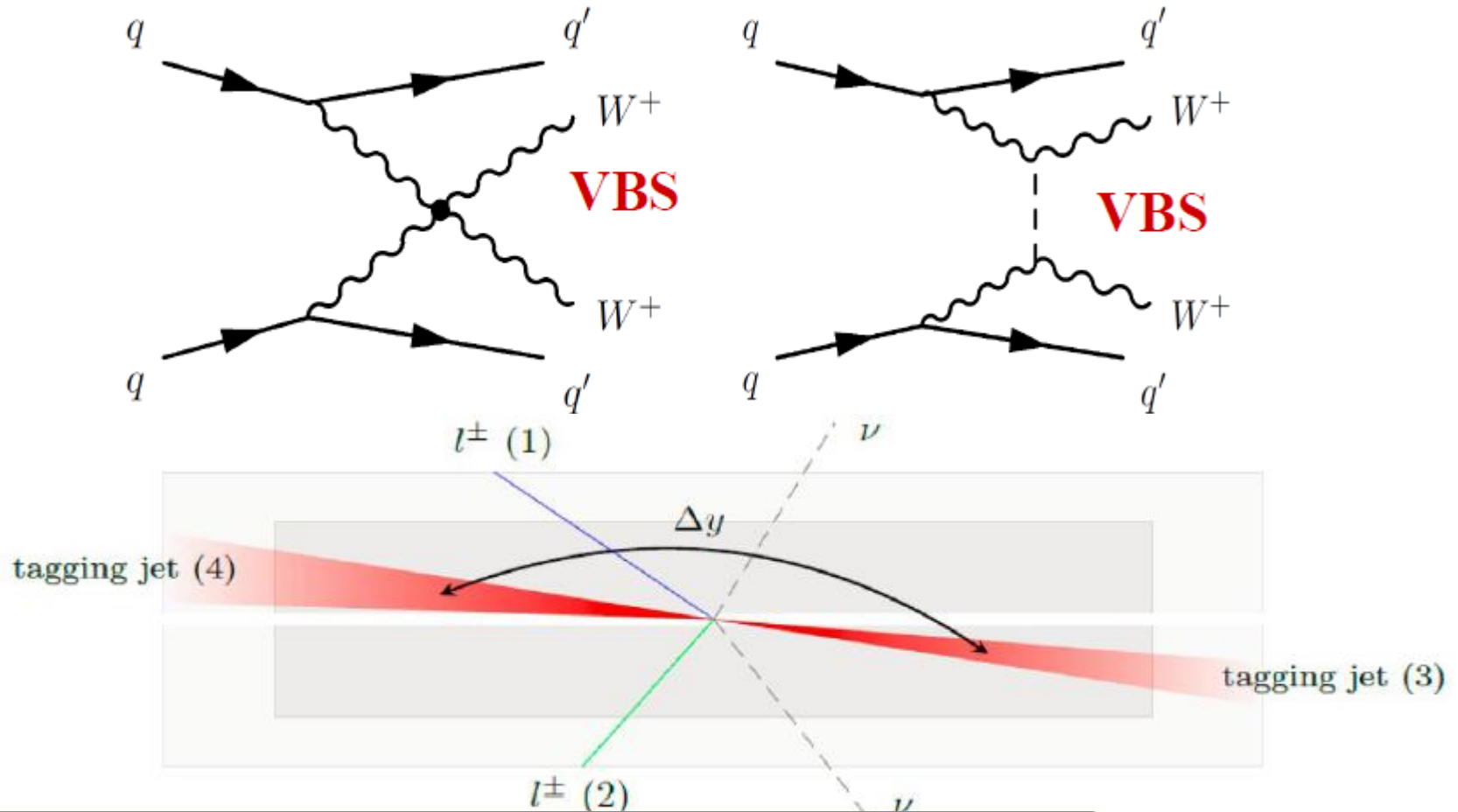


■ Cross sections in pb *...deeper anatomy*

# And also...

## Vector Boson Scattering (VBS)

This will be covered in this presentation



■ Cross sections in fb *...even deeper anatomy*

# Outline

## ■ Intact protons

### -- 'elastic' diffractive scattering

"The diffraction phenomena of quantum systems can however be reduced directly to a classical limit only when elastic scattering takes place..." [Alberi, Goggi 1981]

## ■ Rapidity Gaps

### -- 'inelastic' diffractive scattering

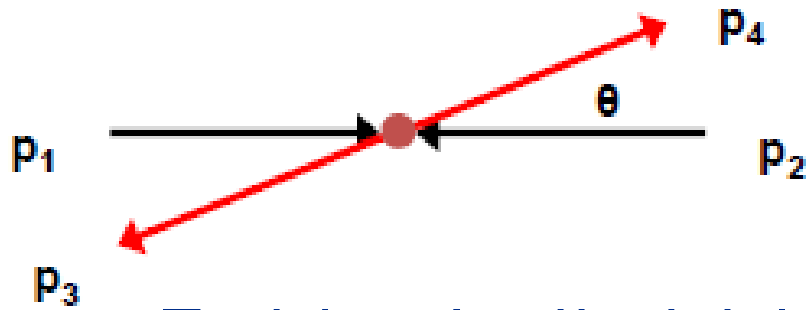
*"As a consequence, inelastic diffraction can be reduced to elastic diffraction scattering of the basic states, in which the initial and final states can be decomposed. The fluctuations of hadronic systems over this set of basic states, typical manifestation of quantum field-theoretical objects, are the main origin of the large probability observed for inelastic diffraction..."*

[Alberi, Goggi 1981]

## ■ EM processes and beyond

*(EM extended to EWK [Electro-Weak])*

# Elastic pp->pp reaction



$$t = (p_1 - p_3)^2 = (p_2 - p_4)^2 \approx -p^2 \theta^2$$

To determine the total cross section, it is sufficient to measure the elastic cross section down to very small  $|t|$  values ( $\theta \rightarrow 0$ )...

This is why it is needed to use forward proton taggers and a dedicated LHC optics (see later)

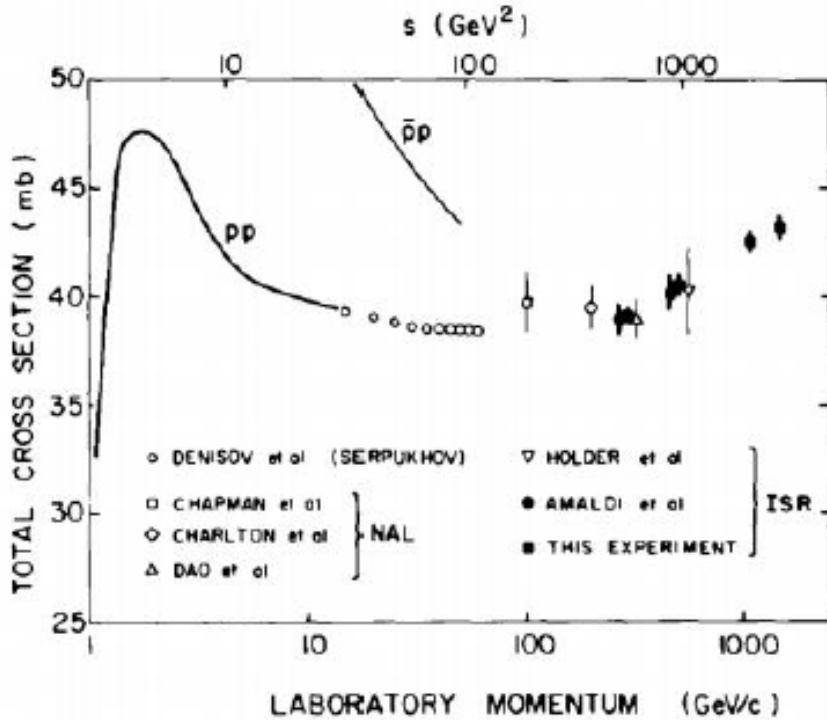
$$\sigma_{\text{tot}}^2 = \frac{16\pi(\hbar c)^2}{1 + \rho^2} \left. \frac{d\sigma_{\text{el}}}{dt} \right|_{t \rightarrow 0}$$

-> total pp cross section

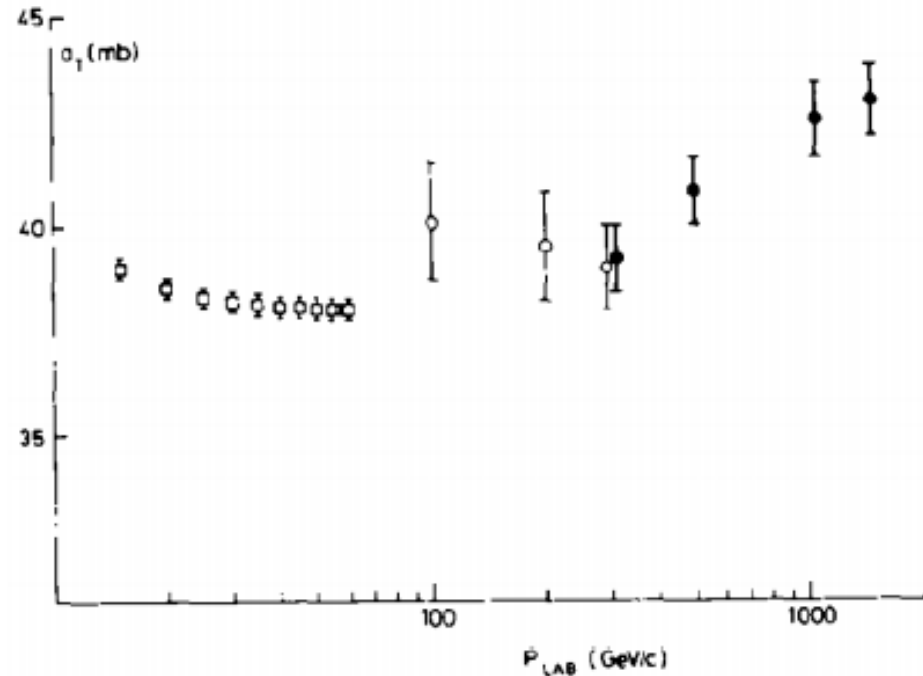
# History: rise of $\sigma_{\text{tot}}$ at ISR

CERN Intersecting Storage Rings

At the ISR a rise of the total cross section was first observed.



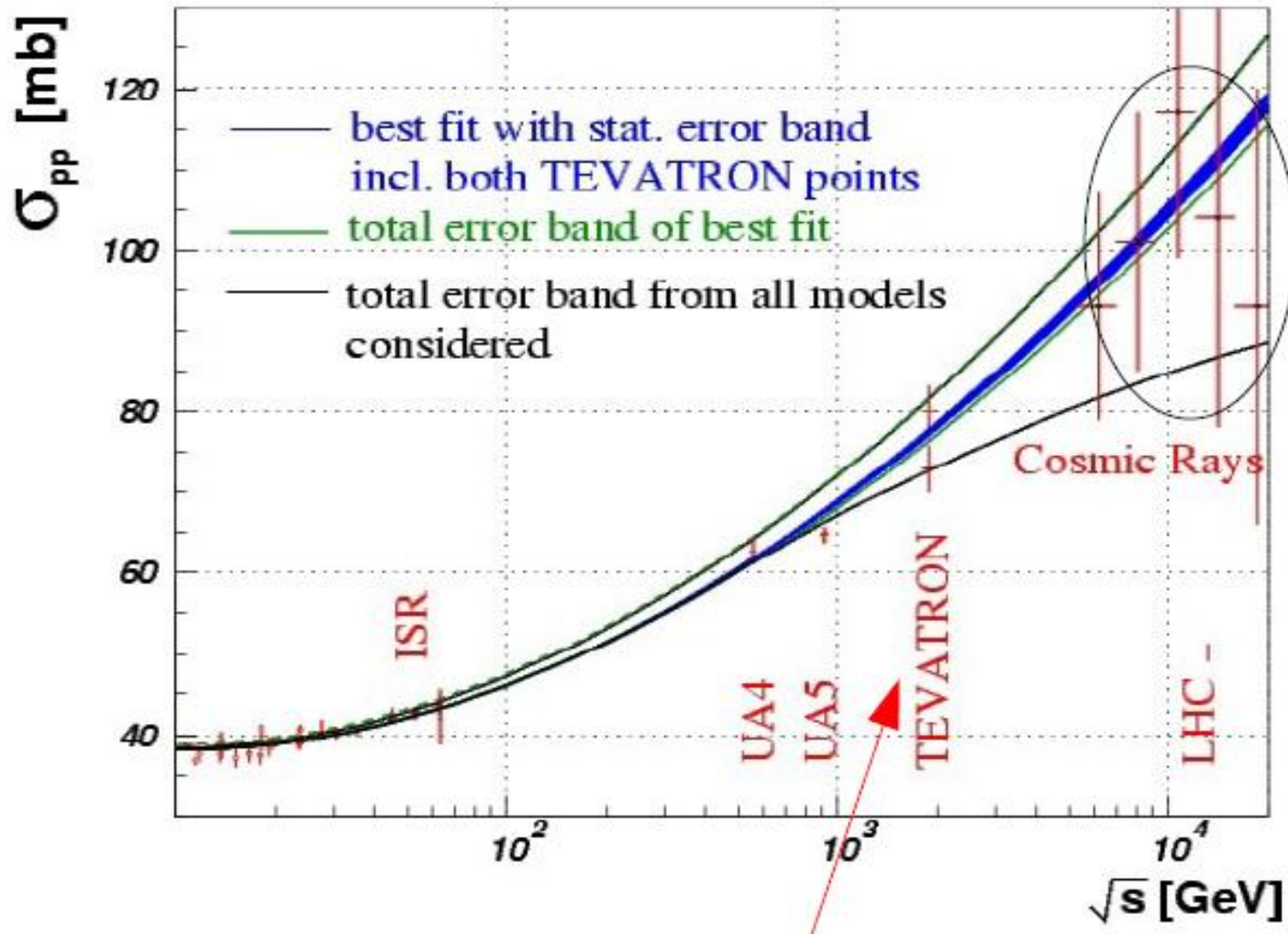
[U. Amaldi et al., Phys. Lett. B 44 \(1973\) 192](#)



[S.R. Amendolia et al., Phys. Lett. B 44 \(1973\) 119](#)

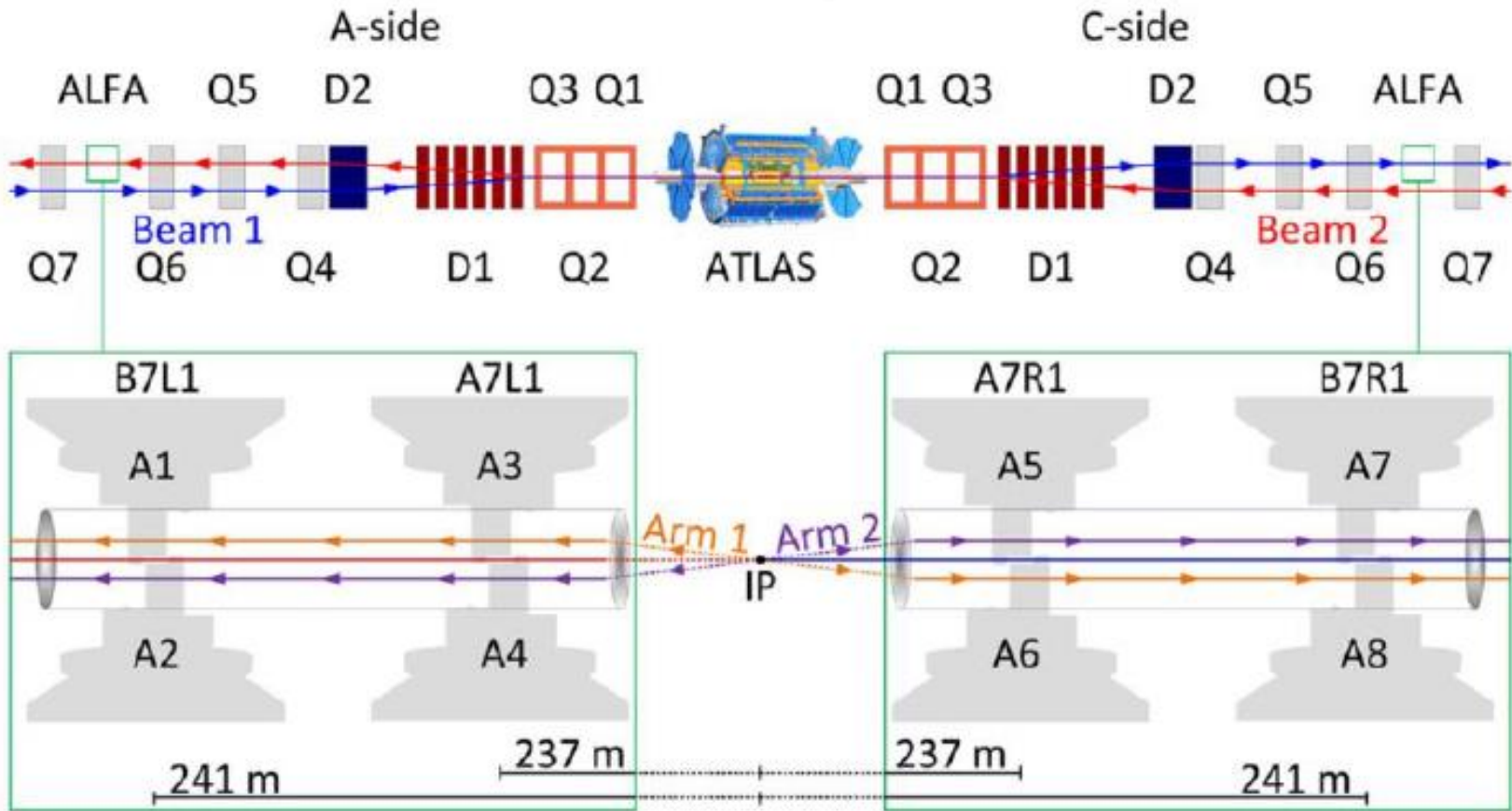
Next, we describe precisely the measurement at ATLAS using ALFA - at 7 TeV (which kind of rise:  $\ln(s)$ ,  $\ln^2(s)$ ,...?)

# Pre-LHC rise of $\sigma_{\text{tot}}$



Then, Pre-LHC measurements does not constraint the rise of the total cross section very precisely...

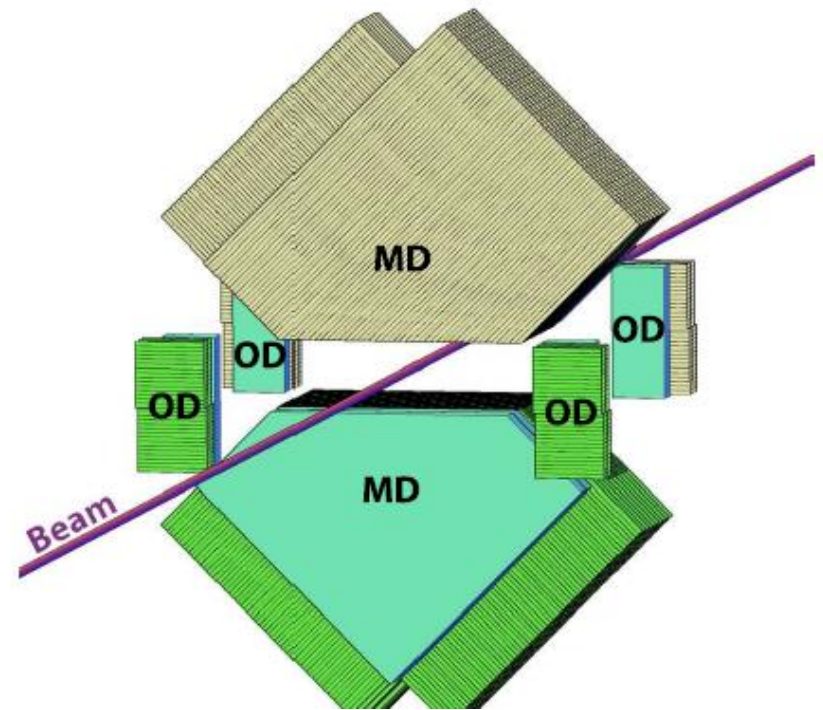
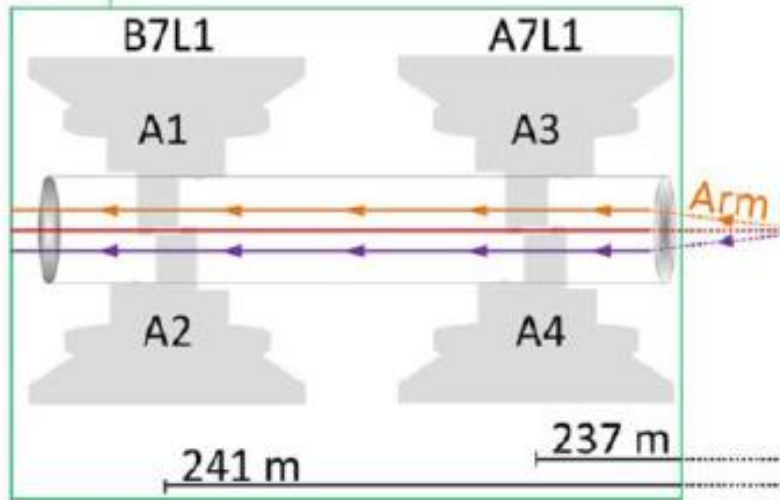
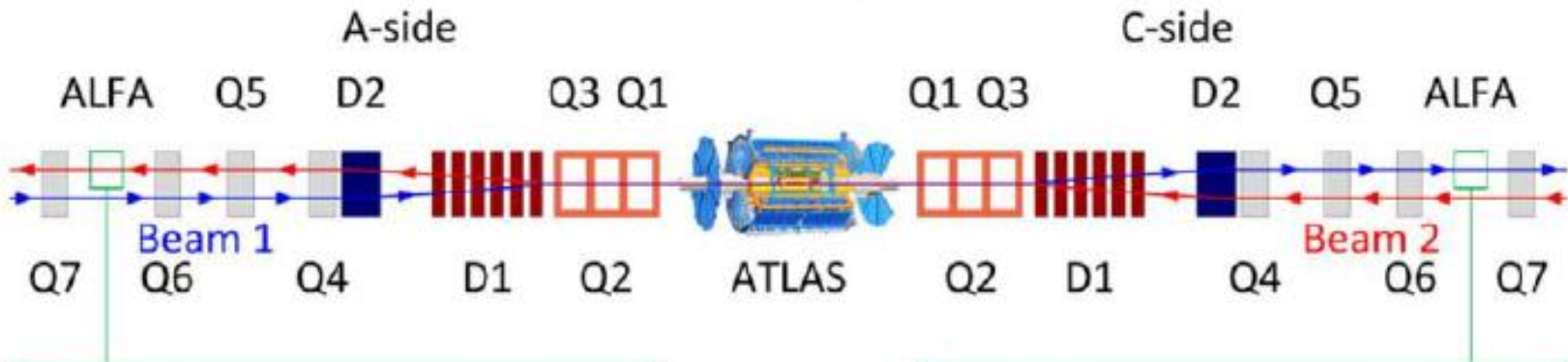
# ATLAS -- ALFA / Roman Pots



- Roman pots:  
located 240 m from the IP
- 4 stations, 8 detectors
- Detectors: scintillating fibers  
(i.e. trackers)



# ATLAS -- ALFA / Roman Pots

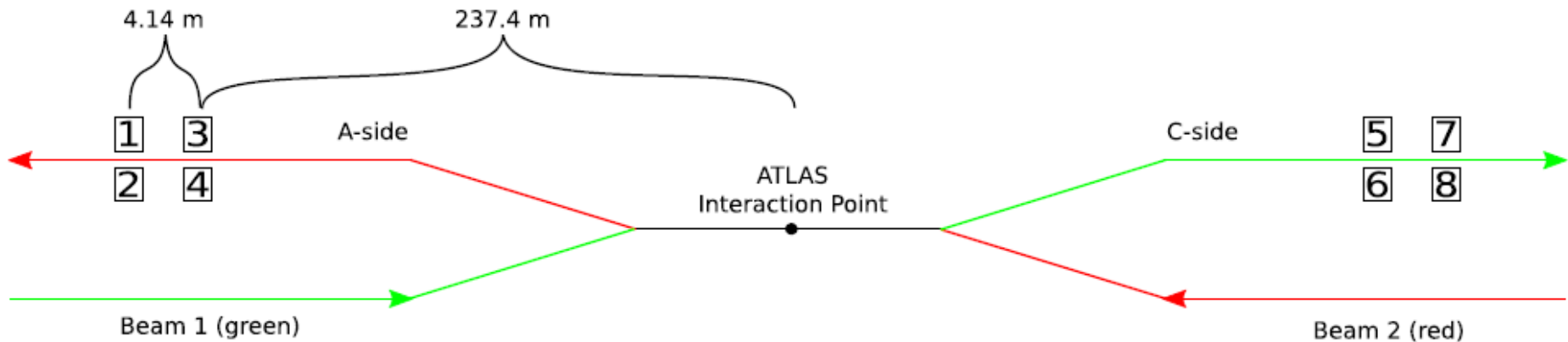


- Roman pots:  
located 240 m from the IP
- 4 stations, 8 detectors
- Detectors: scintillating fibers  
(i.e. trackers)

# ALFA / beams (protons)

- Roman Pot detectors at 240 m from IP1 approaching the beam during **special runs at high  $\beta^*$** .

**We explain this condition in a few slides**



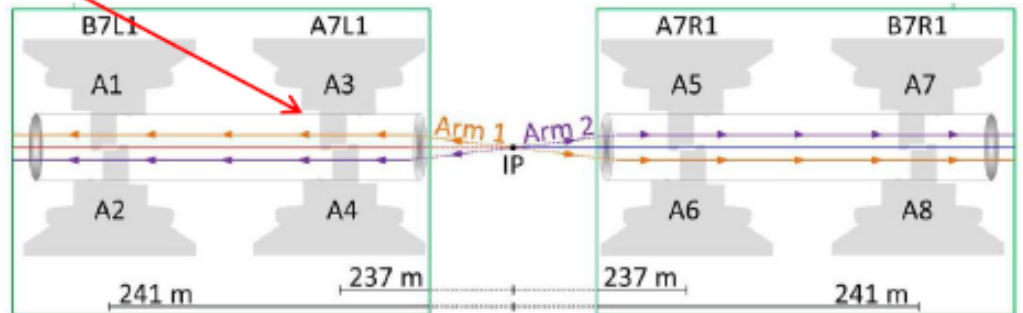
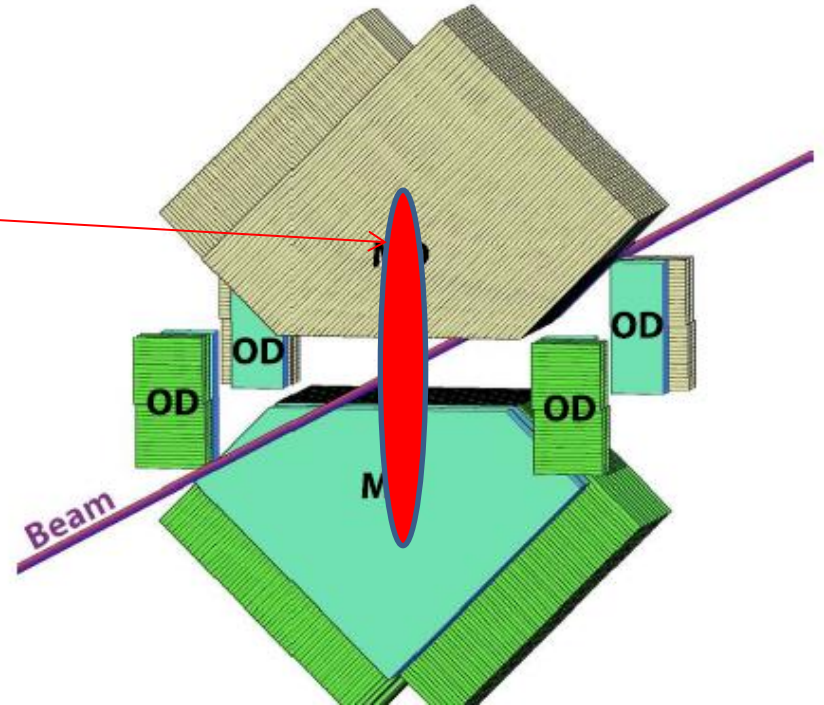
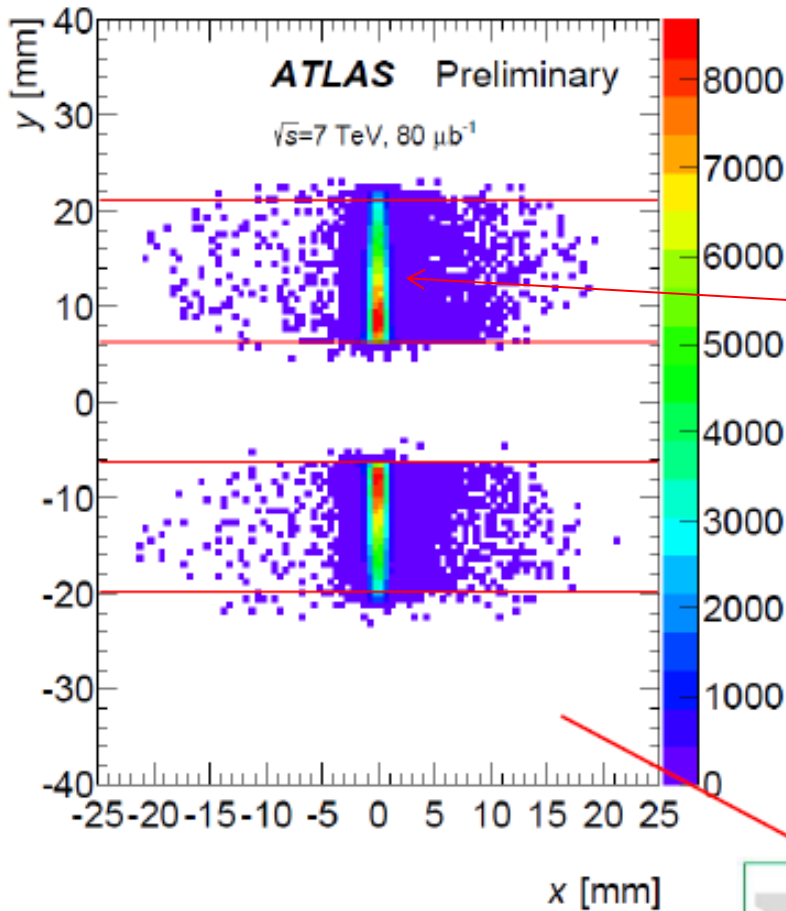
In October 2011 ALFA had the special run 191373 with  $\beta^*=90\text{m}$

and recorded 800k *good selected elastic events* used for the analysis of the total cross section and the nuclear slope B.

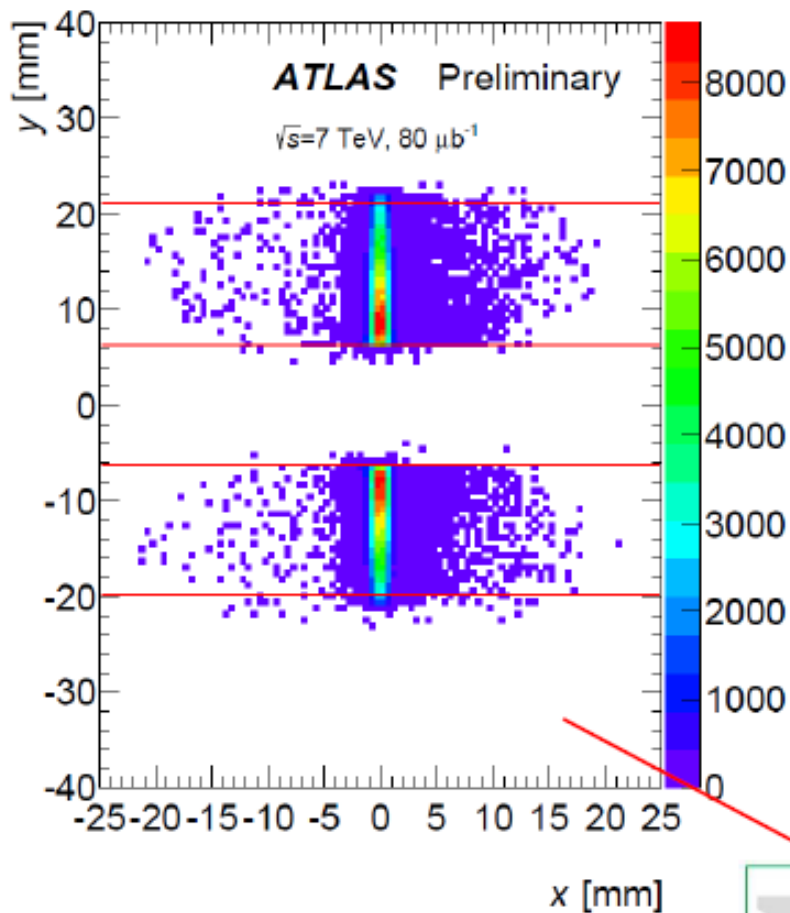
**At 7 TeV: each proton beam with momentum 3.5 TeV/c**

# ALFA / Hit map (1)

Remember the geometry or RP!



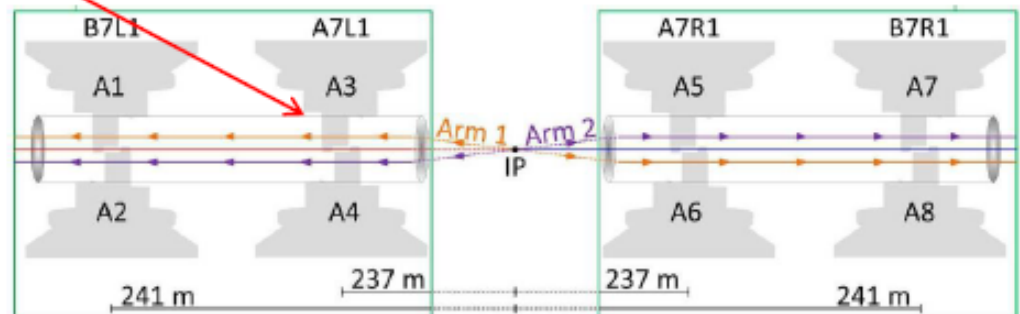
# ALFA / Hit map (1)



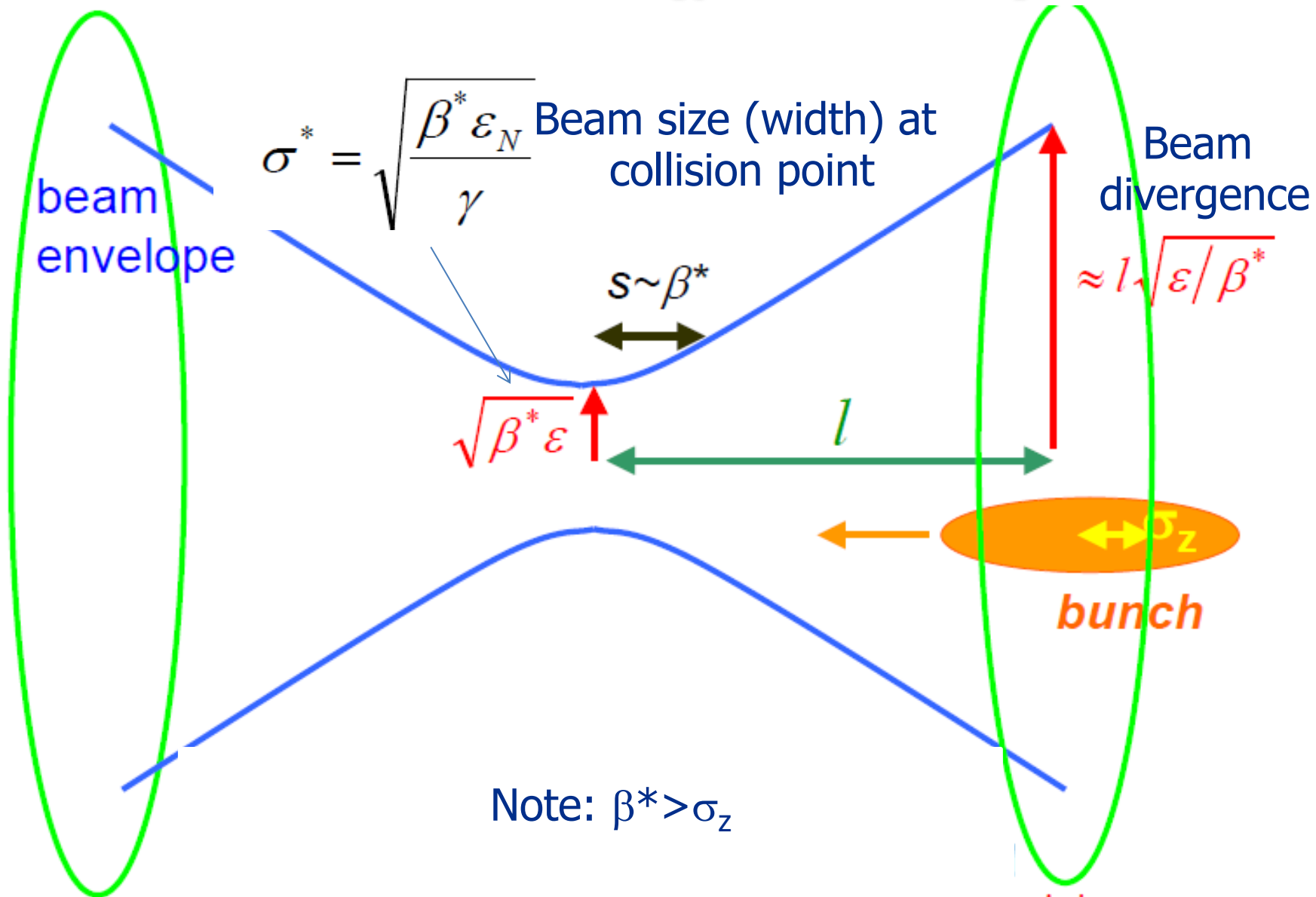
Hit pattern in one station,  
before elastic event selection.

Pattern shape is caused only by  
beam optics...

**We justify this map in a few  
slides**



# LHC beams (protons)



# LHC beams (protons)

## Special optics for ALFA w.r.t. nominal LHC optics

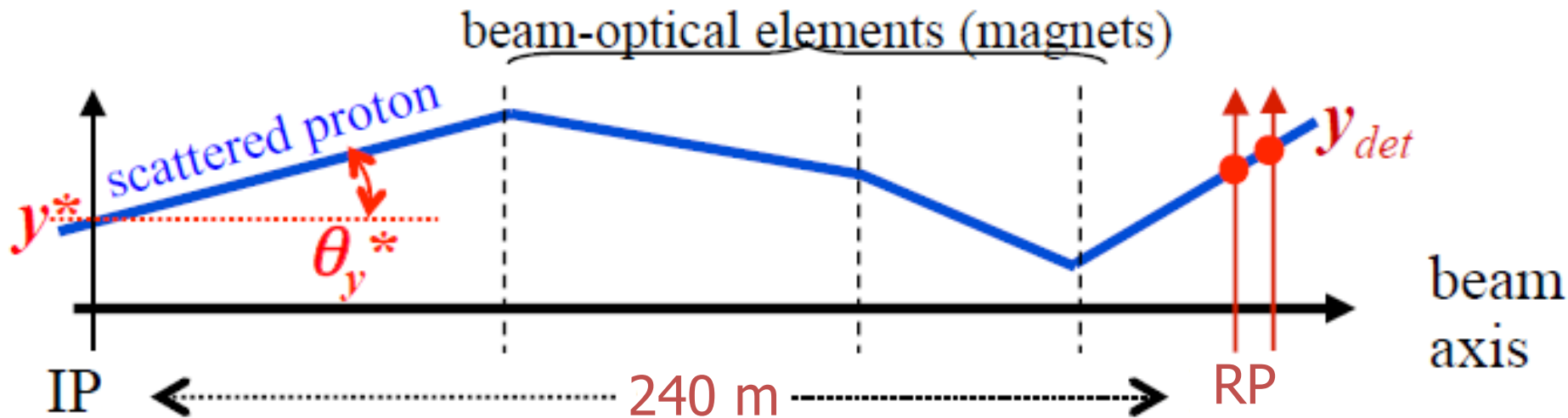
	Beam size (width) at collision point	Beam divergence	$ t _{\min} \propto p \varepsilon / \beta^*$
Standard optics $\beta^* = 0.5\text{m}$	Small	Large	$>0.3 \text{ GeV}^2$
<b>Special optics</b> <b><math>\beta^* = 90\text{m}</math></b>	<b>Large</b>	<b>Small</b>	<b><math>\sim 0.01 \text{ GeV}^2</math></b>

**This justifies the high  $\beta^*$  requirement**

*higher  $\beta^*$  ( $\sim 1\text{km}$ ) would lead to smaller  $|t|_{\min} \sim 0.001 \text{ GeV}^2$*

**Then, what is observed/measured in ALFA?**

# Measurements in RP [x,y]



$(\theta_x^*, \theta_y^*)$  emission angles at IP (interaction point)  
 $(x^*, y^*)$  vertex at IP

$$t = -(p\theta^*)^2$$

at RP

$$\begin{pmatrix} y \\ \theta_y \end{pmatrix} = \begin{pmatrix} M_{11} & M_{12} \\ M_{21} & M_{22} \end{pmatrix} \begin{pmatrix} y^* \\ \theta_y^* \end{pmatrix}$$

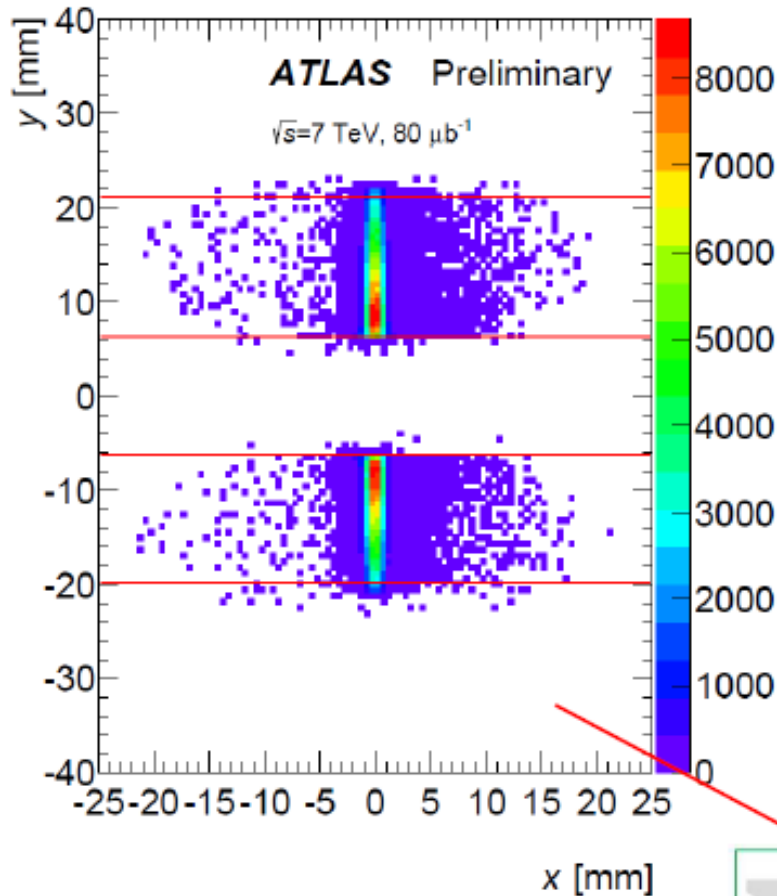
In linear optics:  $\det[M] := 1$

■  $y \sim M_{12} \theta_y^* = L_y[270 \text{ m}] \theta_y^*$

■ Similarly for [x]:

$x = L_x[13 \text{ m}] \theta_x^* + v_x x^* + D_x \xi$   
 (elastic  $\xi=0$ )

# ALFA / Hit map (2)

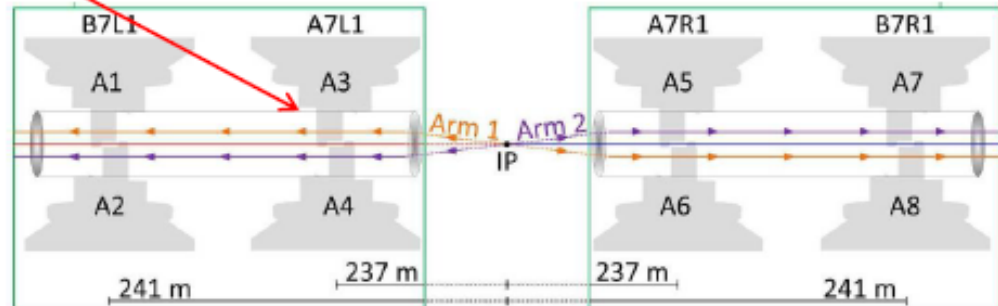


$$y = L_y [270\text{m}] \theta_y^*$$

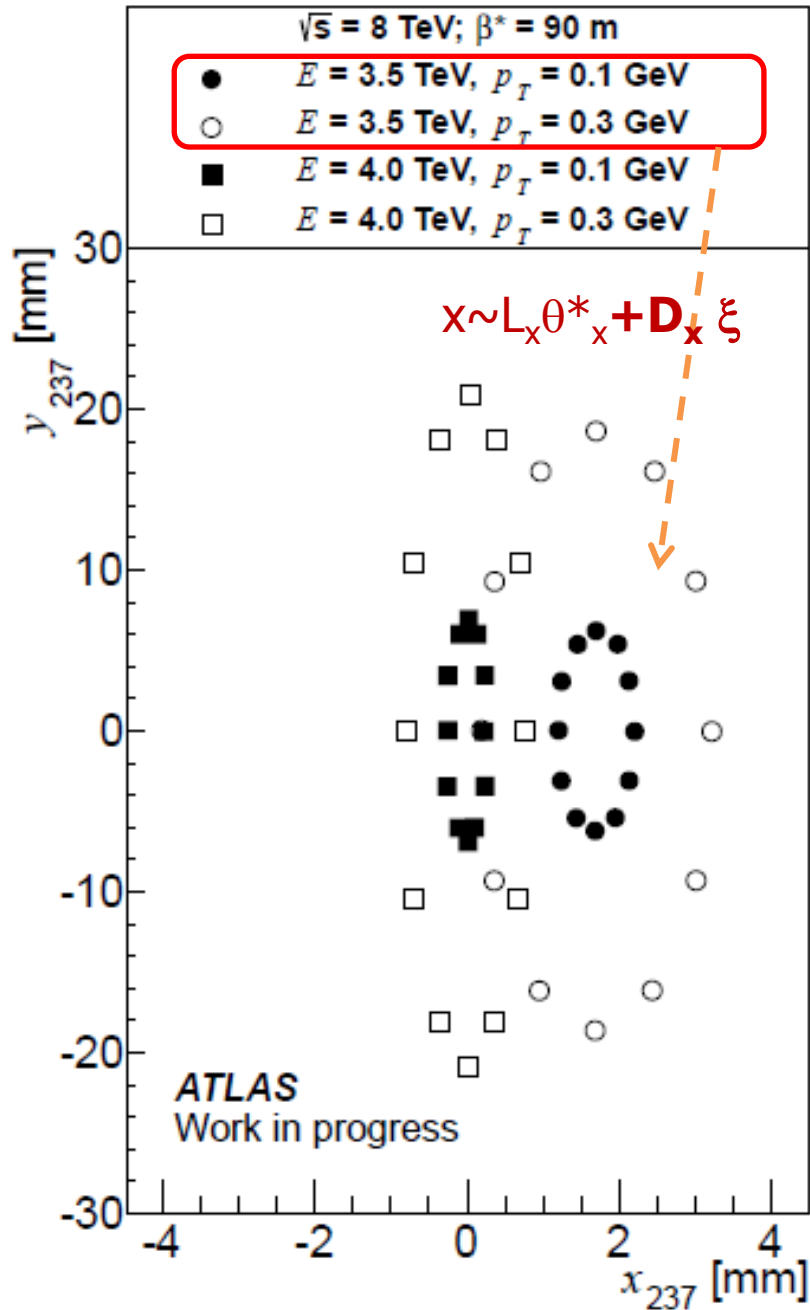
$$x = L_x [13\text{m}] \theta_x^* + v_x x^* + D_x \xi$$

(elastic  $\xi=0$ )

Hit pattern in one station.  
 The shape is caused  
 by the beam optics only  
 (equations above)



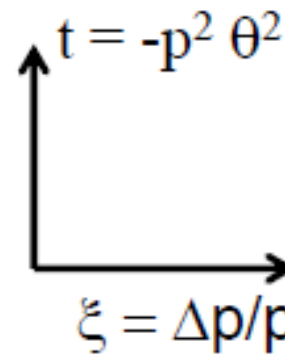




**Note:**  
If one would like to measure non-zero  $\xi$  values -- with a good acceptance

=> New RP needed  $\perp$  ALFA

[CERN-LHCC-2015-009; ATLAS-TDR-024](#)



AFP:  
diffractive protons measurement.  
A first-phase installation in 2016.

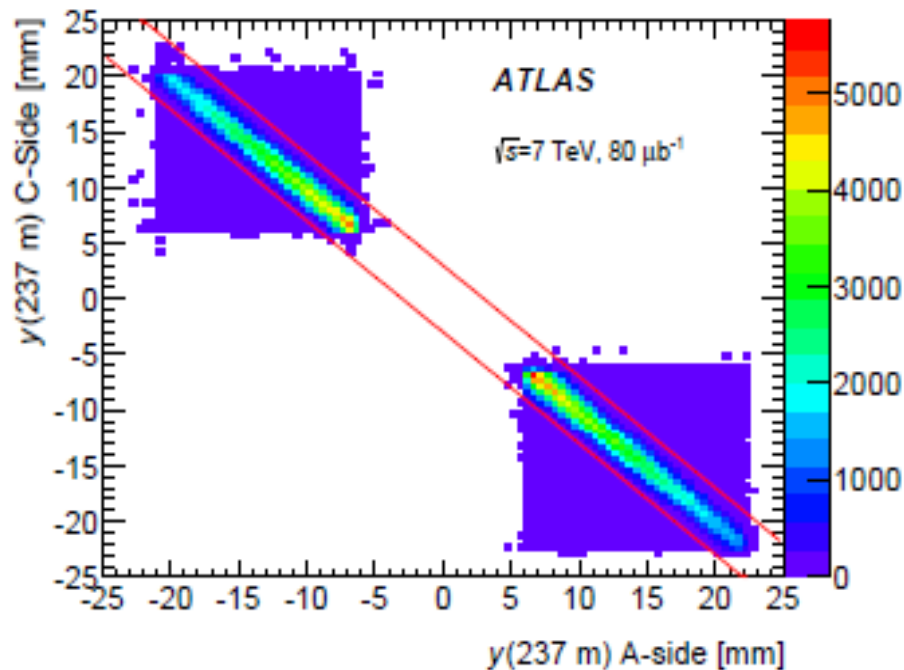
Longitudinal momentum loss (fraction)

# Elastic cross section / Analysis strategy

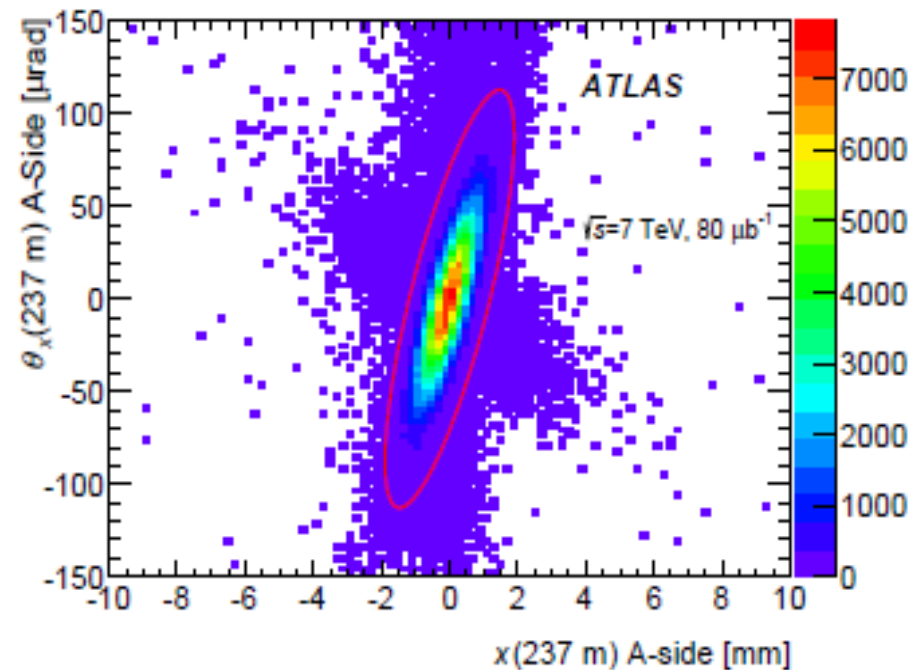
Following the previous slides =>

Selection based on constrained kinematics of elastic events:

- Left (C side)-right (A side) symmetry (in  $x$  and  $y$ )
- Correlation between trajectory position ( $x$ ) and elevation angle ( $\theta$ )



Correlation between  $y$  on A and C sides



Correlation between  $x$  and  $\theta_x$  on A side

# Elastic cross section / Results

$$\sigma_{\text{tot}}^2 = \frac{16\pi(\hbar c)^2}{1 + \rho^2} \frac{d\sigma_{\text{el}}}{dt} \Big|_{t \rightarrow 0}$$

...can be *extended* to

$$\frac{d\sigma_{\text{el}}}{dt} = \text{Coulomb} + \text{CNI}$$

$$+ \sigma_{\text{tot}}^2 \frac{1 + \rho^2}{16\pi} e^{-B|t|}$$



Cross sections:

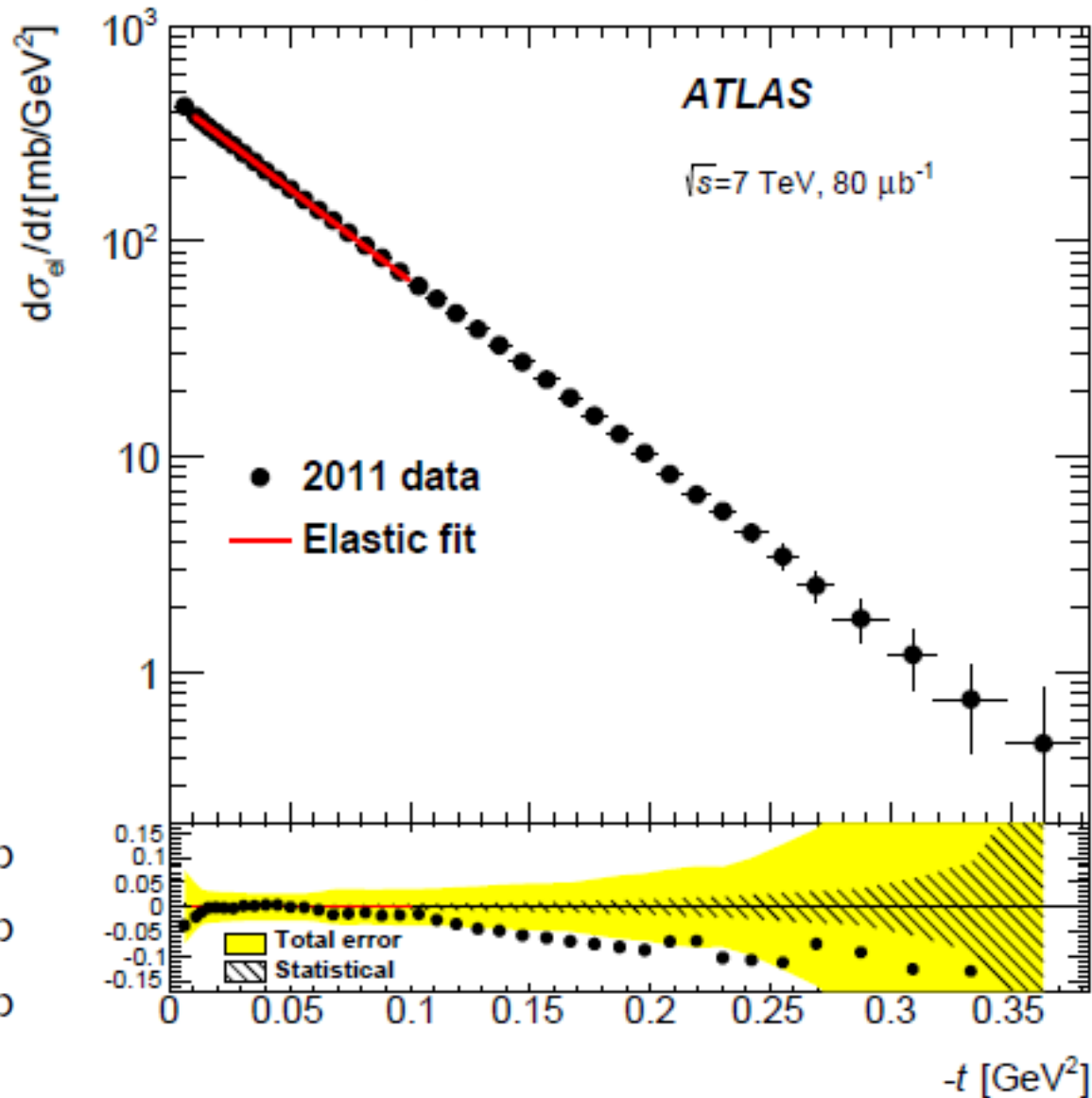
$$\sigma_{\text{tot}} = 95.35 \pm 1.36 \text{ mb}$$

$$\sigma_{\text{el}} = 24.00 \pm 0.60 \text{ mb}$$

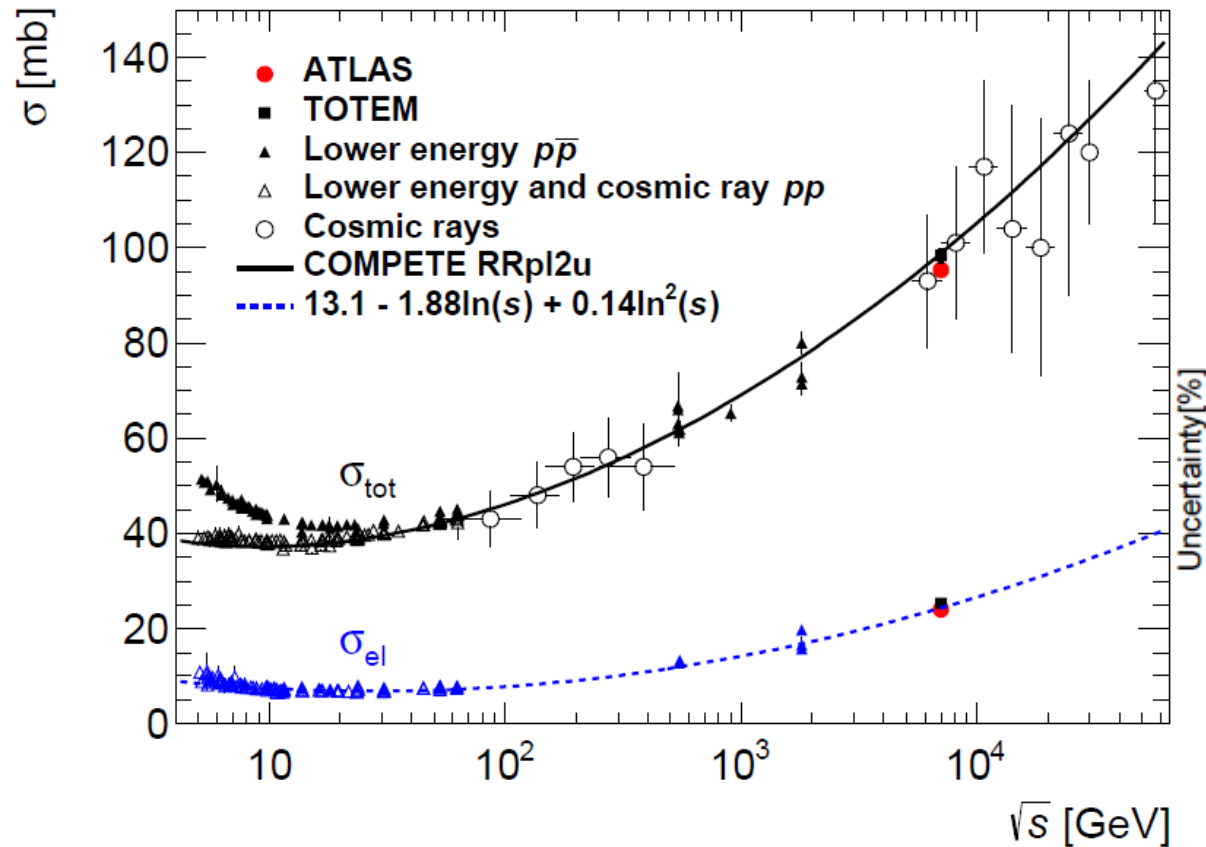
$$\sigma_{\text{inel}} = 71.34 \pm 0.90 \text{ mb}$$

Elastic slope:

$$B = 19.73 \pm 0.24 \text{ GeV}^{-2}$$

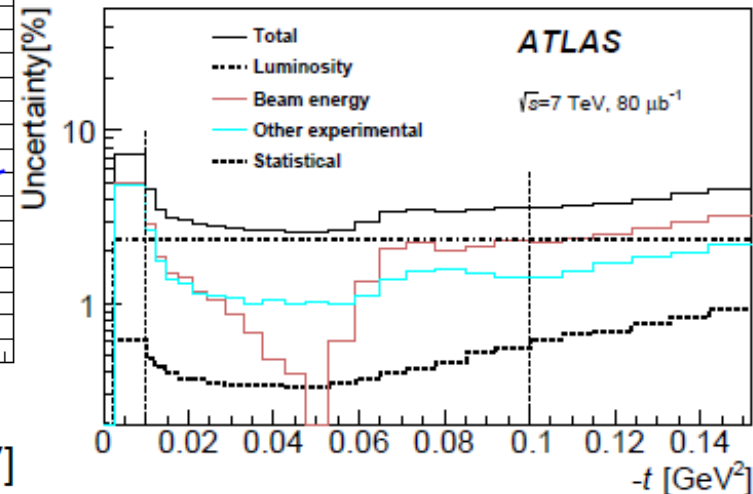


# Final result



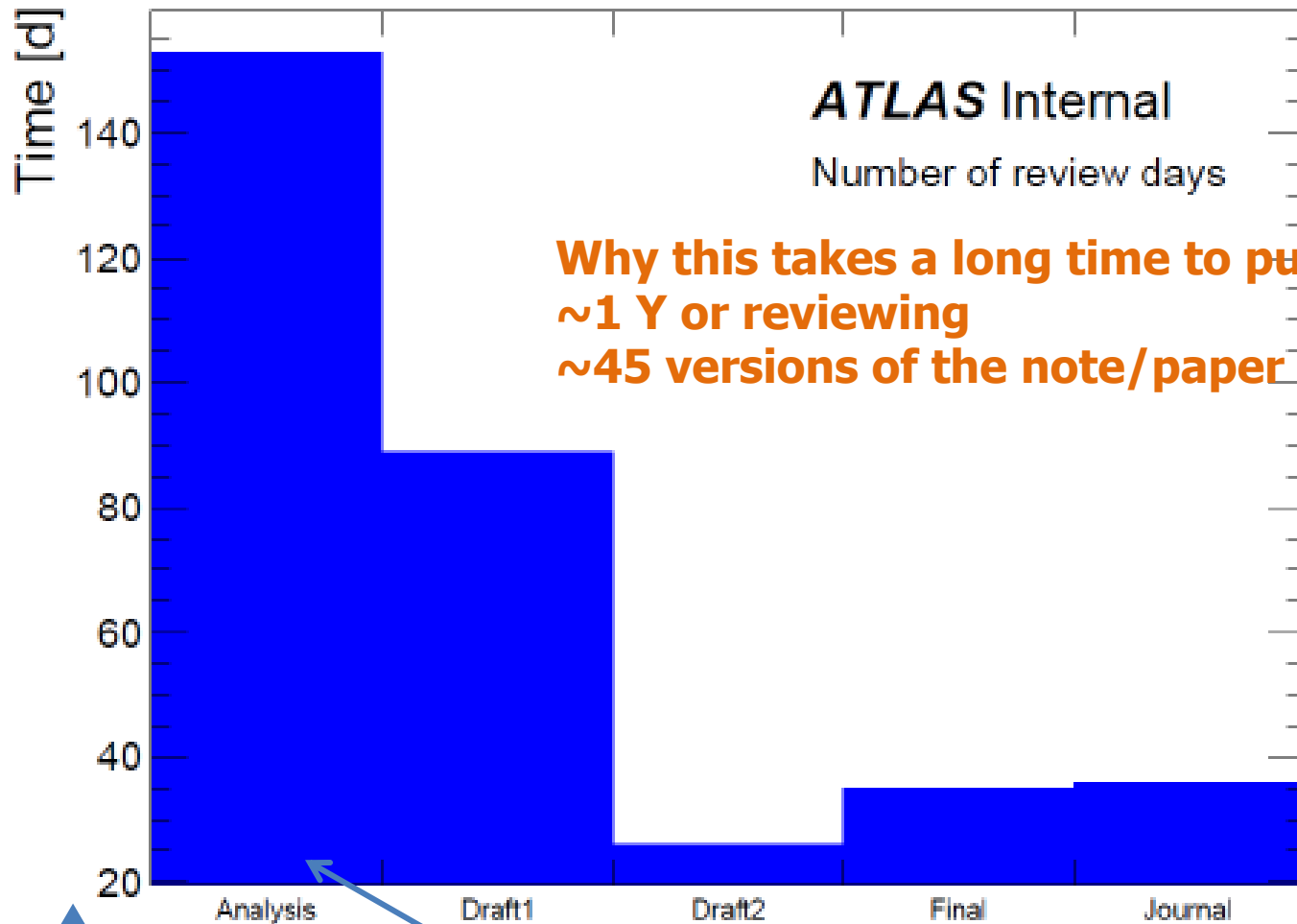
## Main systematic uncertainties:

Luminosity: 2.3 %  
=> 1.1 % in  $\sigma_{\text{tot}}$   
Beam energy: 0.63 %  
=> 0.43% in  $\sigma_{\text{tot}}$



- (1) **Measurements at 13 TeV** will be important (in the range of cosmic rays)
- (2)  $\sigma_{\text{el}}$  **growing more/less rapidly than  $\sigma_{\text{tot}}$  ?**  
Right now: the slope of  $\sigma_{\text{el}}(E_{\text{cm}})$  is smaller than  $\sigma_{\text{tot}}(E_{\text{cm}})$

# Internal history of the paper in ATLAS



**Why this takes a long time to publish?**  
**~1 Y or reviewing**  
**~45 versions of the note/paper committed**

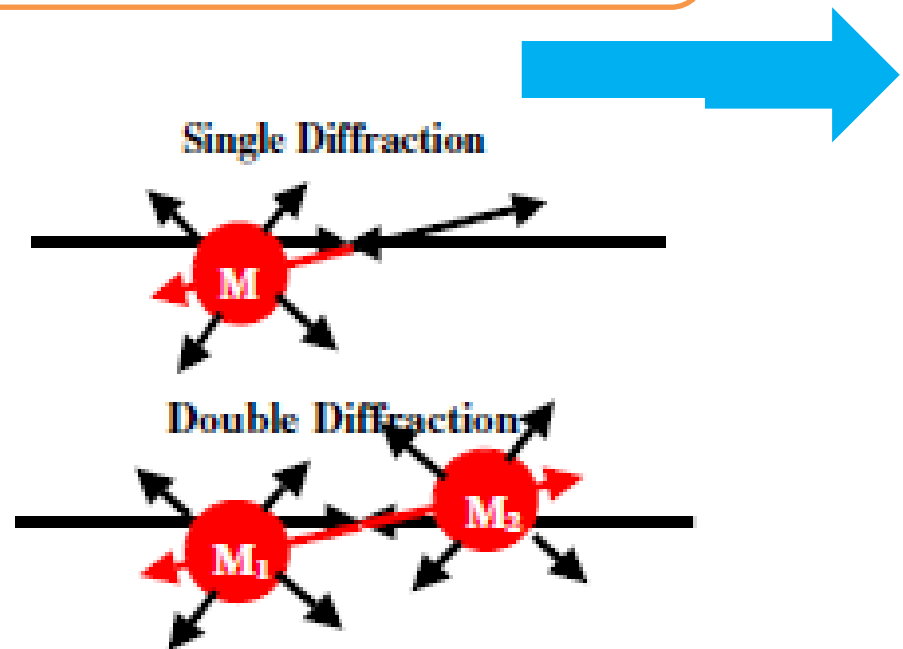
At this point a good version of the analysis is ready and accepted by the analysis group... Then, starts the reviewing process in ATLAS

# Back on the anatomy of pp collisions

From the **ALFA measurement(s)**:

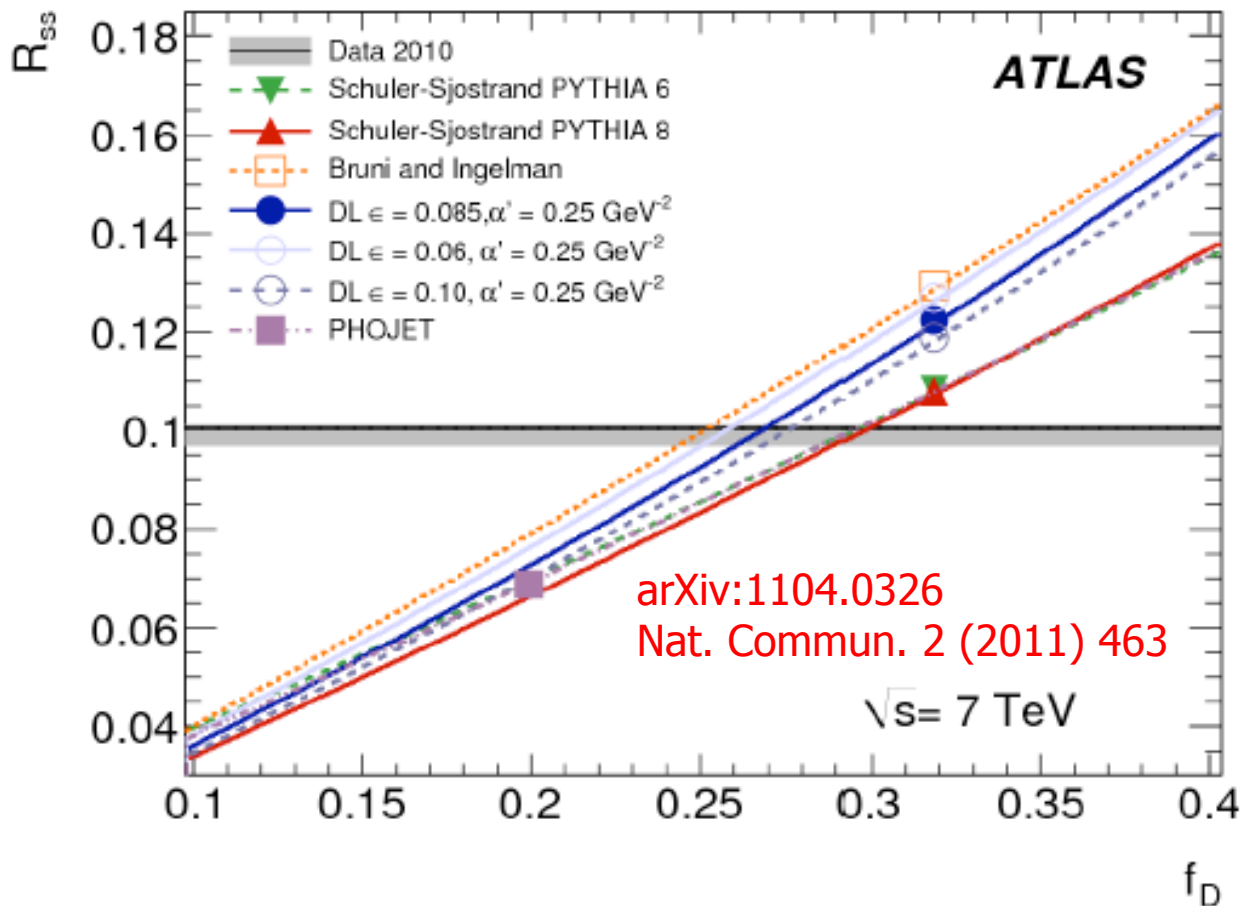
$$\sigma_{\text{el}}/\sigma_{\text{tot}} \sim 25\% \text{ and thus } \sigma_{\text{inel}}/\sigma_{\text{tot}} \sim 75\%$$

From this 75% of inelastic cross-section,  
how much of SD and DD?



The content of soft diffractive events in the inelastic cross-section can be obtained by the ratio of **single sided events (enriched in diff events)** to the total # events.

This ratio is a function of  $f_D$ ... and this fraction can be tuned in the MC up to reproduce the value of  $R_{ss} \Rightarrow f_D \sim 27\% \pm 2\%$



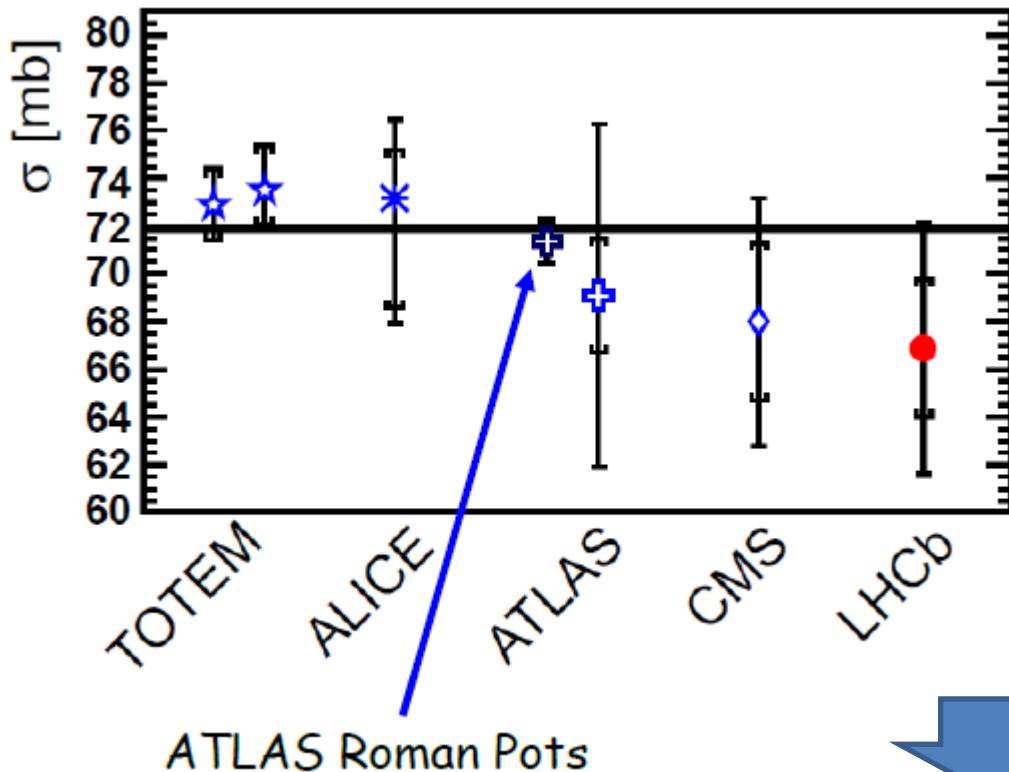
Globally we count:

(a)  
8-9% to produce a gap on one side  
 $\Rightarrow$  16-18% of SD

(b)  
and <10% DD.

# Back on the inelastic cross-section

$\sigma_{\text{inel}} = 71.34 \pm 0.9 \text{ mb}$  from ALFA at  $E_{\text{cm}} = 7 \text{ TeV}$



An independent measurement using MBTS triggers (lower limit in  $\xi$  or  $M_X$ ).

=>

$\sigma_{\text{inel}} = 60.3 \pm 2.1 \text{ mb}$  for  $M_X > 15 \text{ GeV}$

(also) at  $E_{\text{cm}} = 7 \text{ TeV}$ .

$\sigma_{\text{inel}} = 11.0 \pm 2.3 \text{ mb}$  for  $M_X < 15 \text{ GeV}$

(low mass inelastic cross-section)



# Back on the anatomy of pp collisions

## Focus on low masses

For  $M_x < 15$  GeV,  $\sigma_{inel} = 11.0 \pm 2.3$  mb

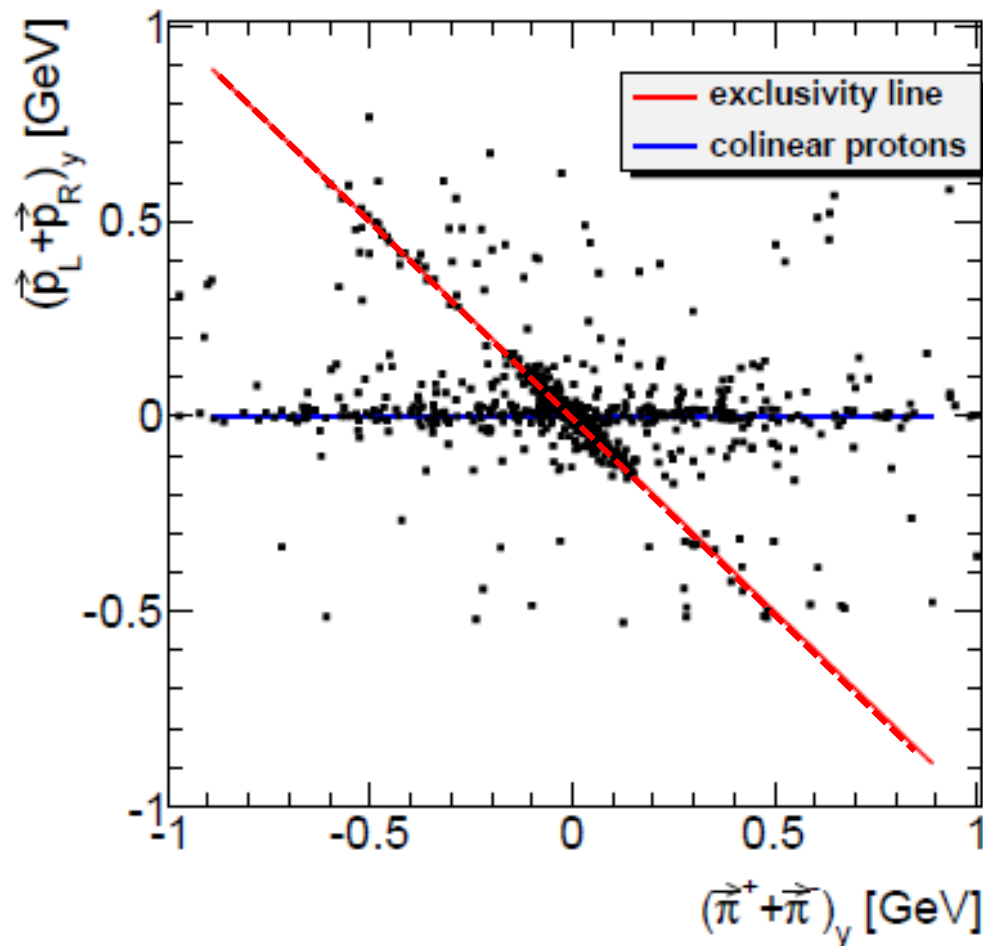
Out of these 11 mb, 27% are of SD and DD origins.  
 $\Rightarrow$  **3** mb (with a 20% uncertainty)

Experiment	CERN-ISR	UA4	TOTEM	ATLAS
Energy	31-62 GeV	516 GeV	7 TeV	7 TeV
$\sigma_{diff}(\text{low mass})/\sigma_{el}$	$\sim 2/7=0.3$	$\sim 3/12=0.25$	$2.6/25=0.1$	<b>3/24=0.12</b>

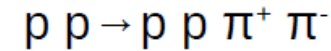
**$\sigma_{diff}(\text{low mass})/\sigma_{el}$  is decreasing with the Energy**

This is an interesting experimental result... to be re-examined...

# Additional: ALFA and *more complex* reactions



## Exclusive pion production



high  $\beta^* = 90$  m runs (206881-)  
at  $E_{\text{cm}} = 8$  TeV  $L = 37.33$  /nb

### Analysis strategy:

- Two tracks from common vertex with  $|\eta| < 2.5$  and  $P_T > 100$  MeV/c
- No signal in MBTS above noise
- Single proton on both ATLAS sides
- Preliminary ALFA alignment

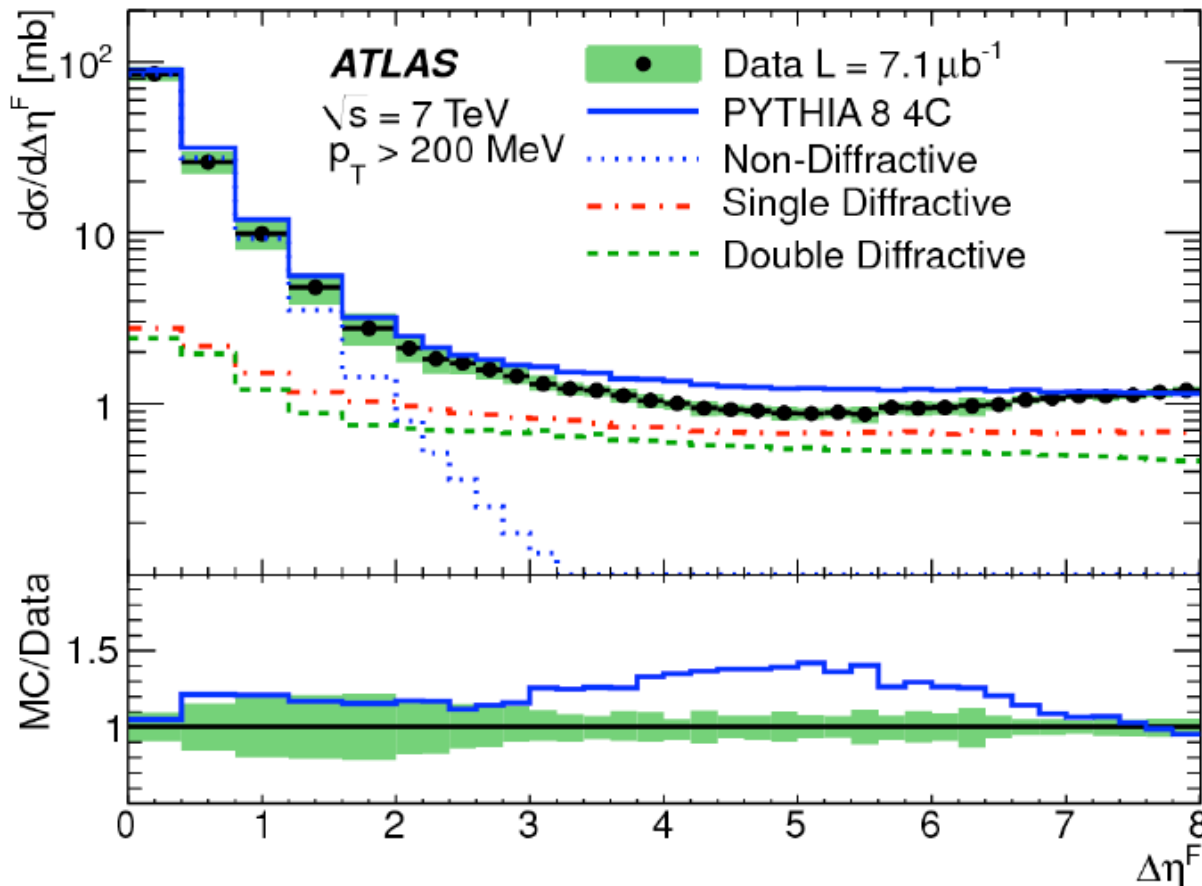
Data contains elastic  $pp \rightarrow pp$  events with overlap charged particle pair not belonging to the same interaction vertex (colinear protons)

Clean exclusive signature (exclusivity line)

# Rapidity Gaps

More on the anatomy  
of diffractive events

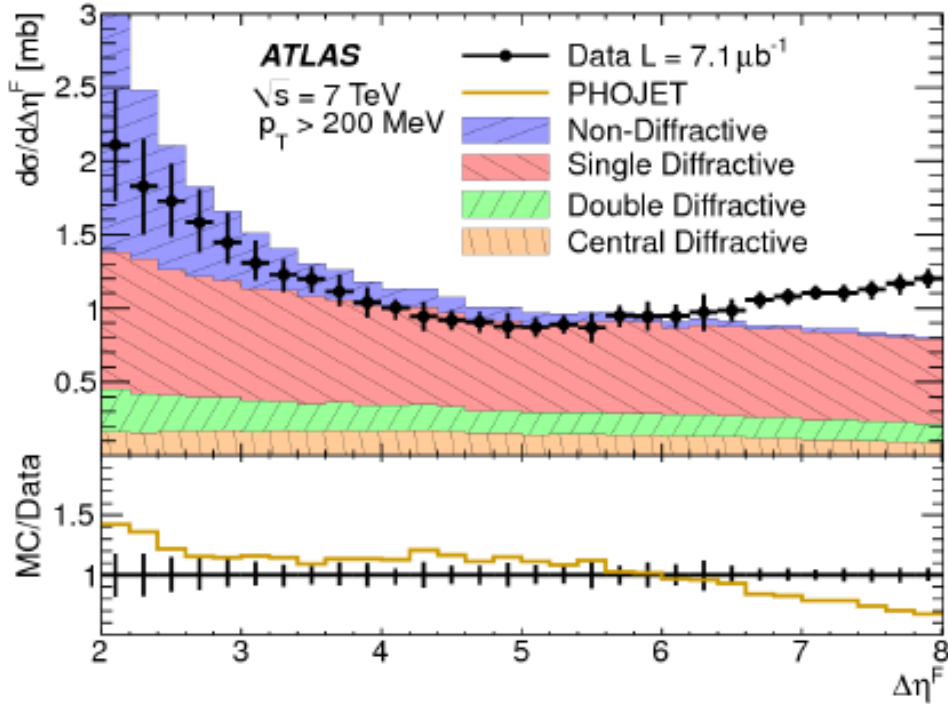
$\Delta\eta_F$  := the largest of the 2 forward rapidity gaps between the first track ( $p_T > 200$  MeV/c  $|\eta| < 2.5$ ) or the first CAL activity above noise and the edge of the detector  $|\eta| = 4.9$ .



Cross section [ $\Delta\eta_F$ ]:

- Non-diffractive fall at small  $\Delta\eta_F$
- Rapidity plateau at  $\Delta\eta_F > 2 \Rightarrow$  SD and DD

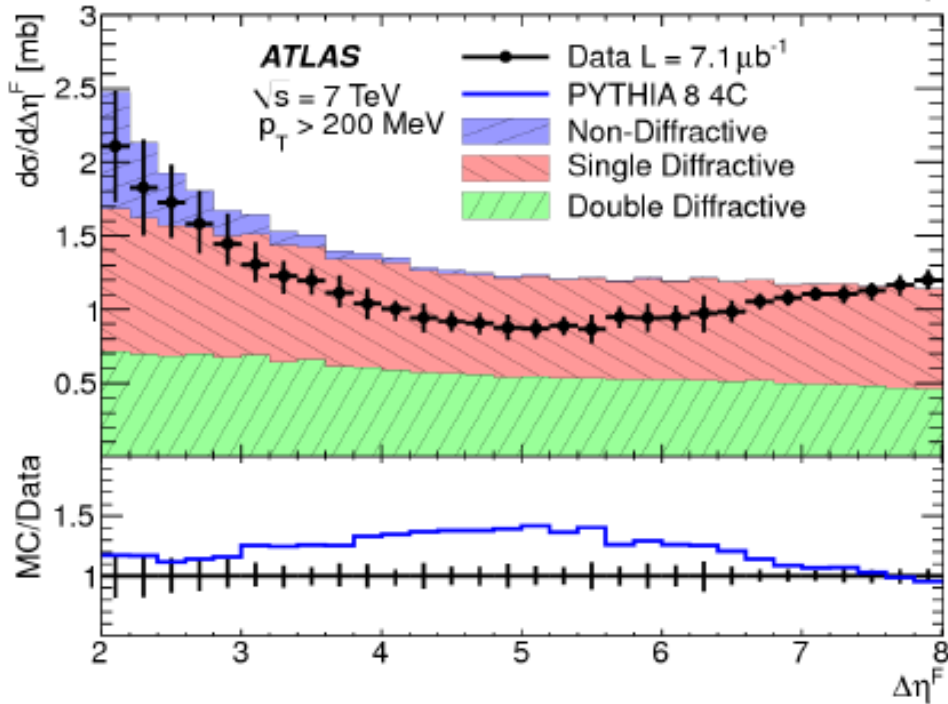
arXiv:1201.2808  
EPJ C72 (2012) 1926



$\Delta\eta_F > 2 \Rightarrow$  data/MC confirms that the event sample is dominated by SD (and DD)

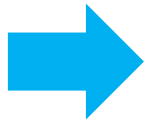
Observed: [1,1.5] mb / unit of  $\Delta\eta$

*...to be compared to:  
 (3.5 mb for Pythia and 2.7 for Phojet)*



*Note:  
 The 2 MCs does not agree...*

*And there is something more...*



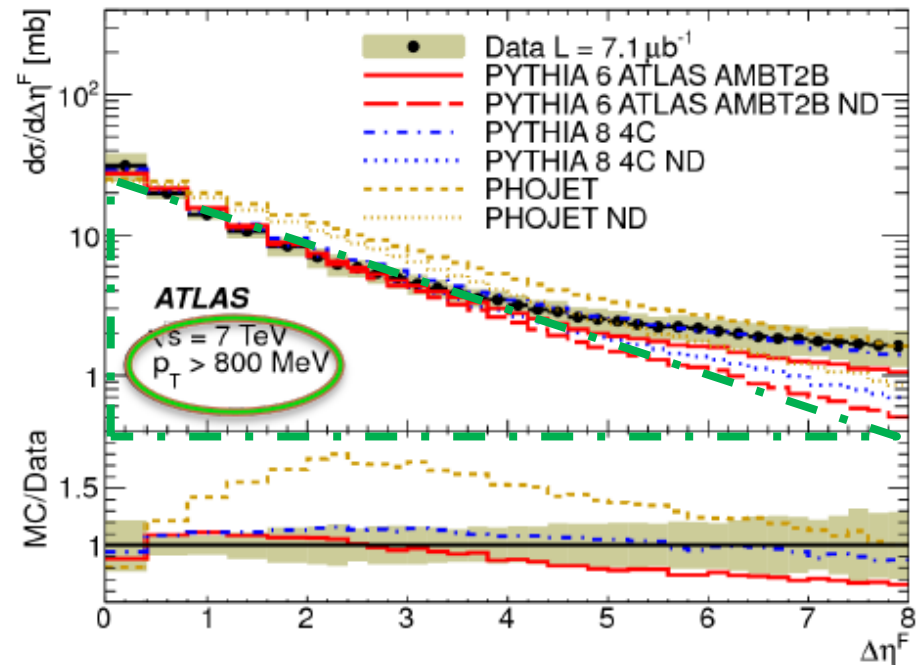
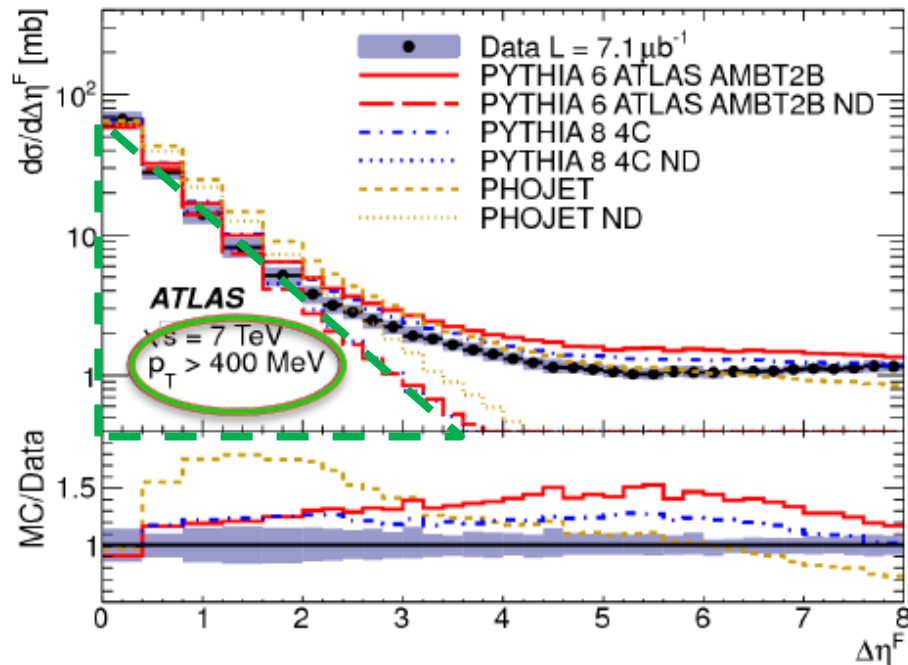
# Rapidity Gaps( $P_T^{\text{cut}}$ )

The diffractive plateau disappears for  $p_T^{\text{cut}} > 800$  MeV

As the  $p_T^{\text{cut}}$  increases, data show larger gaps

=> Sensitive to hadronization fluctuation and underlying event

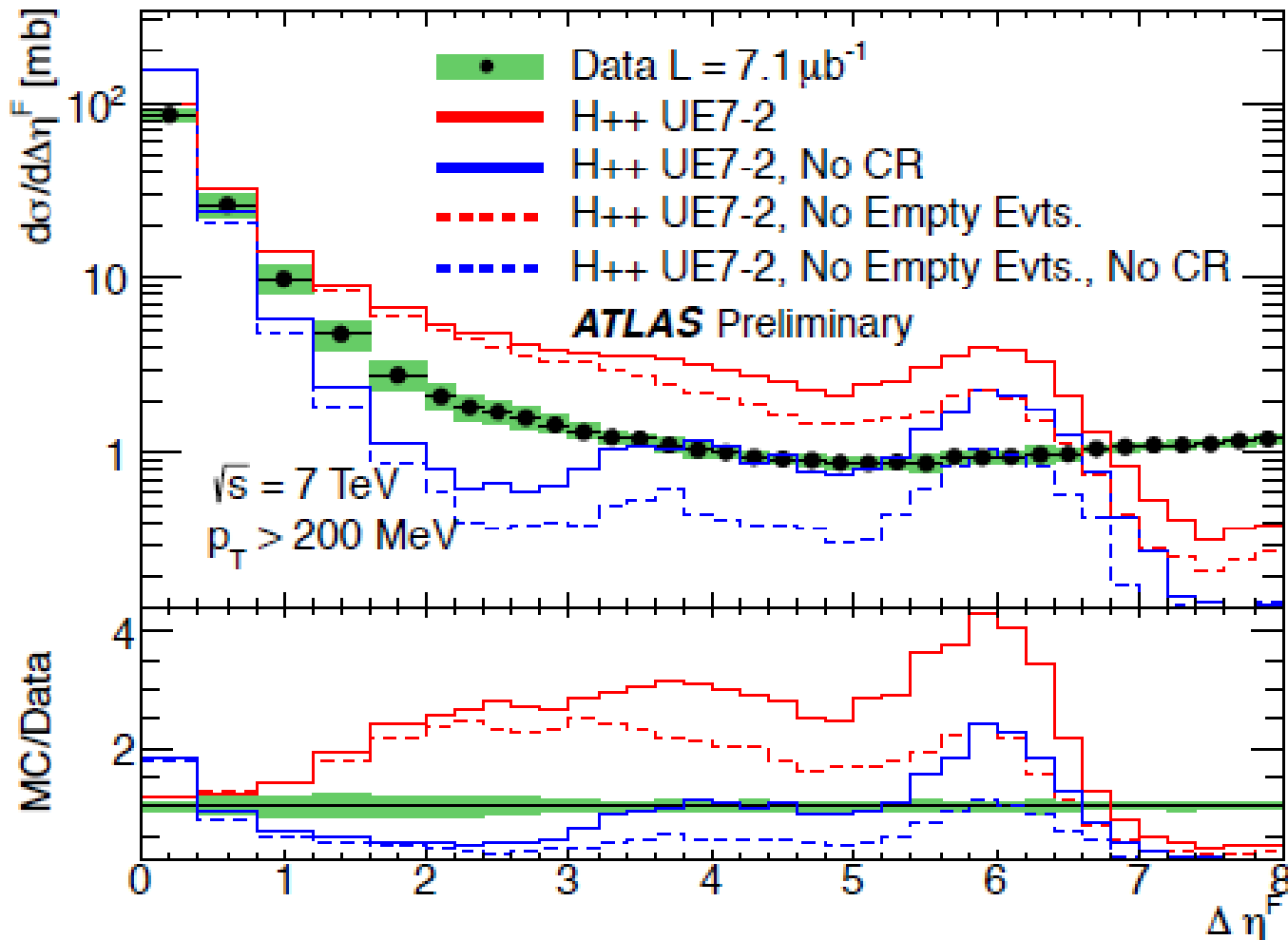
Therefore, this is a measurement of  $d\sigma/d\Delta\eta_F[\Delta\eta_F][p_T^{\text{cut}}]$   
Interesting to tune MCs, certainly not to extract some physics messages  
*like **tunes of MCs** based on Minimum Bias (MB) studies...*



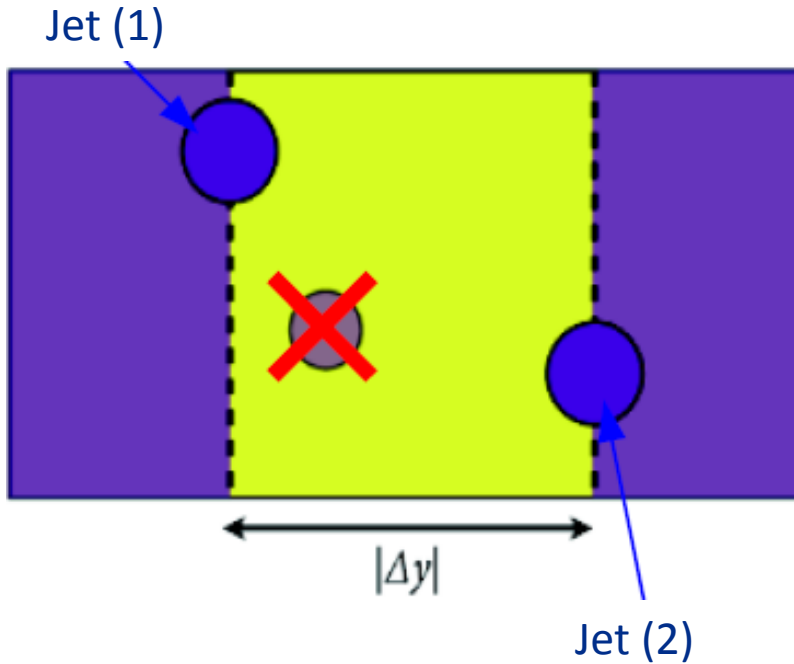
# Rapidity Gaps

For example, we can check that Herwig MC is not satisfactory.

<= Large gaps are produced in the absence of an explicit model  
of soft-diffraction in Herwig...



# Another view of Gaps

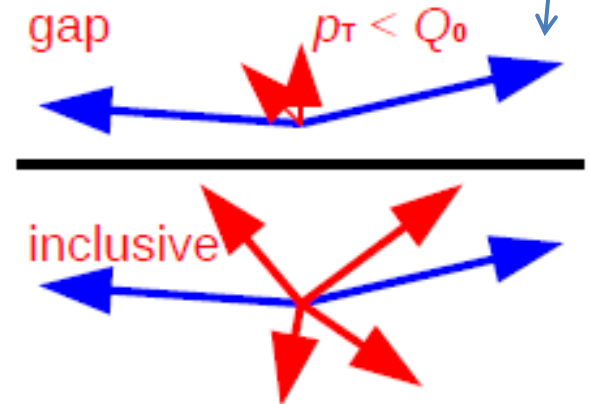


In the experimental configuration:  
2 jets events with large  $\Delta y$  separation  
(GAP)  
with/without a veto on jets  $P_T$  in  $\Delta y$   
(Gap events / Inclusive events)

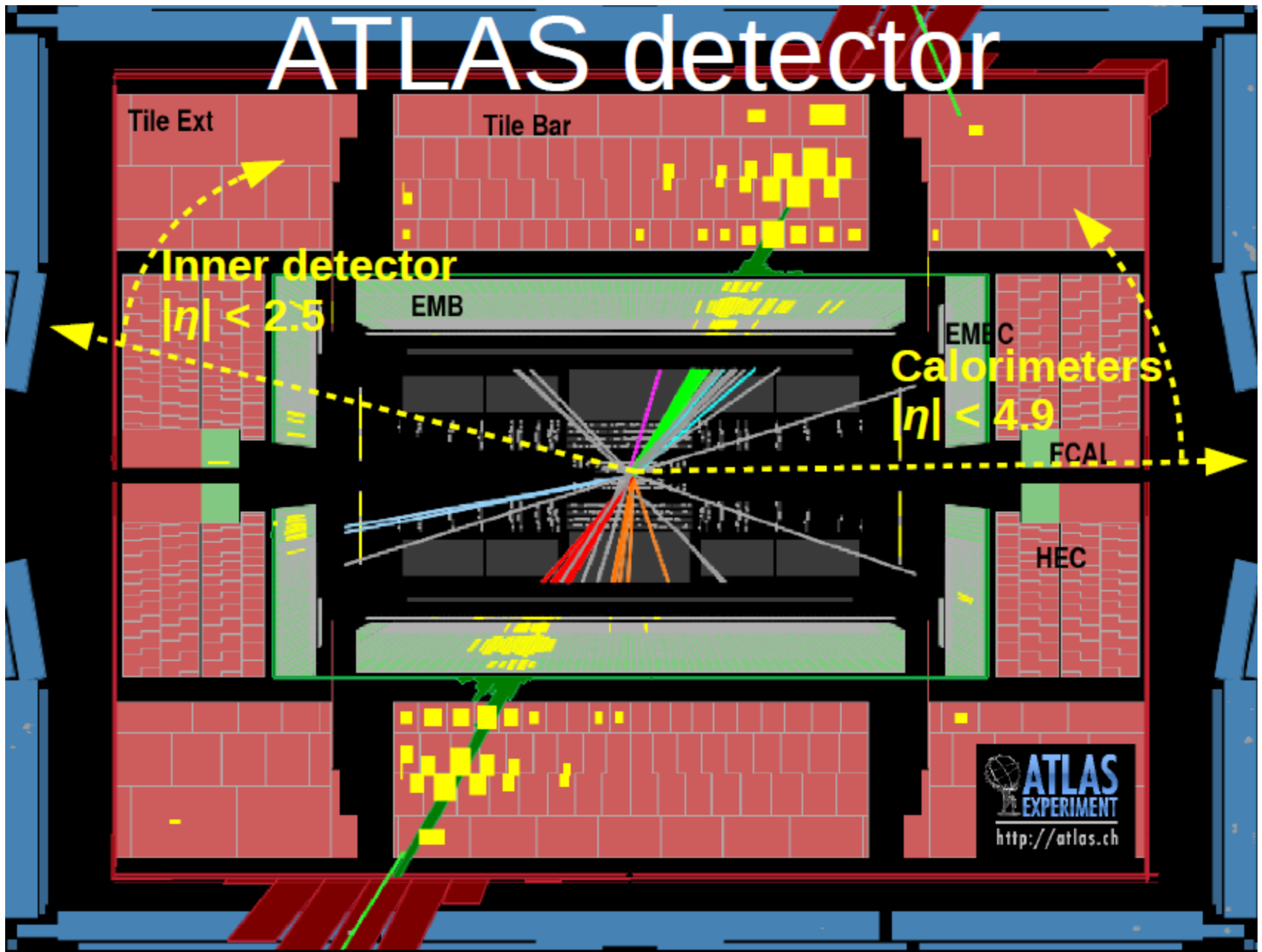
Interesting to test interesting  
limits on MCs?

One key observable is the gap fraction:

$$f(Q_0) = \sigma_{jj}(Q_0) / \sigma_{jj}$$

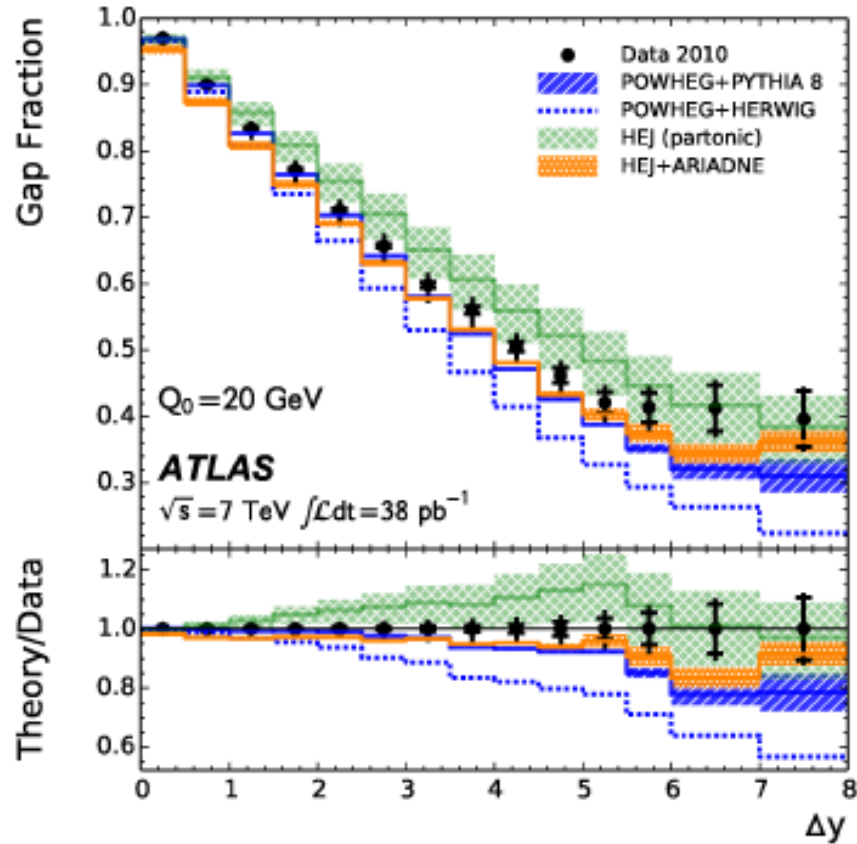


# ATLAS detector

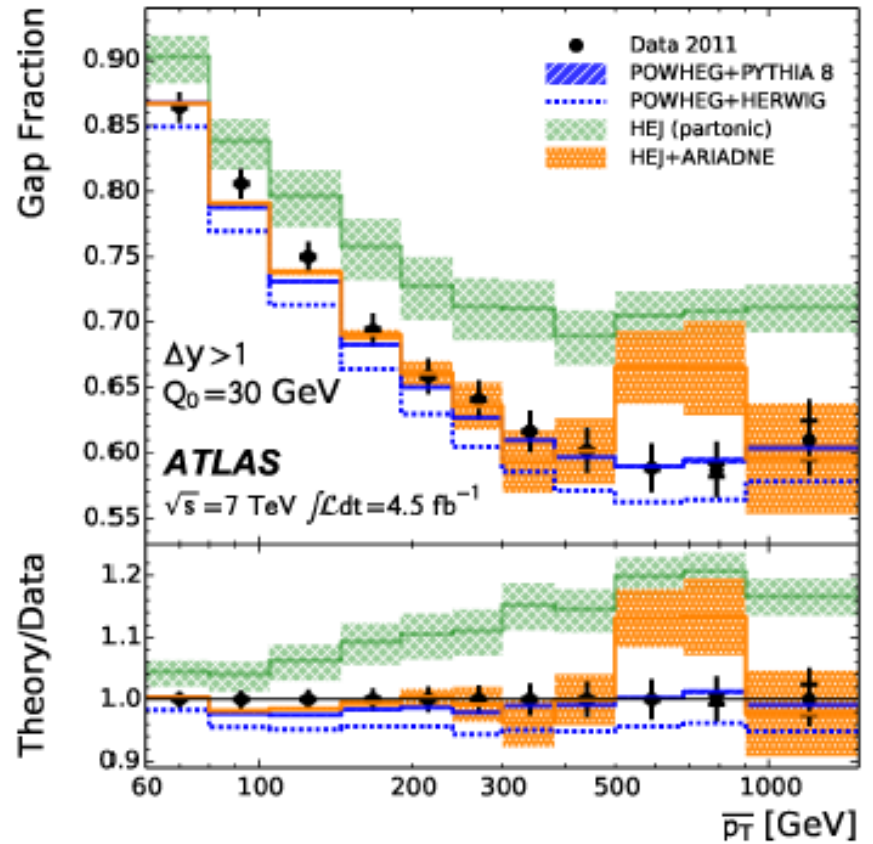




# Gap fraction (2j)



Gap between jets (1) and (2)



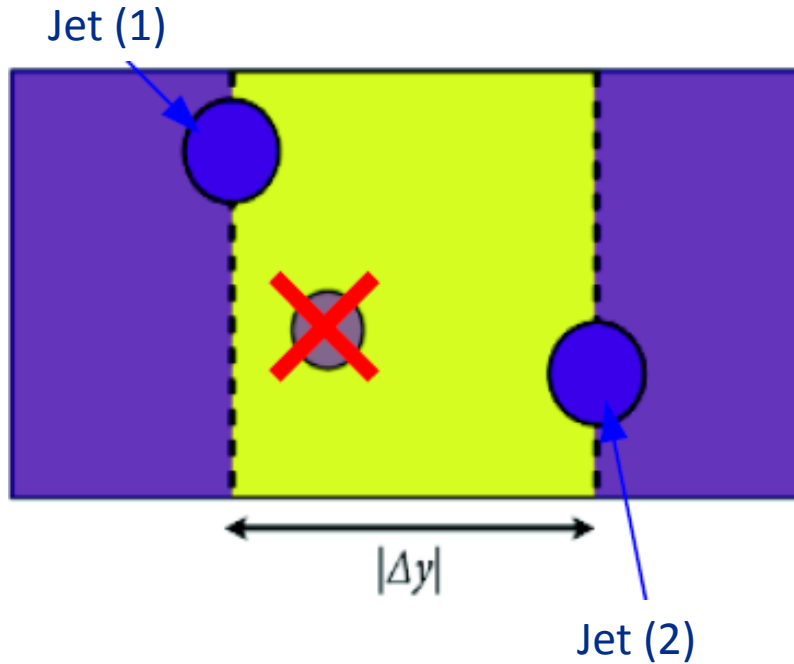
Average  $P_T$  of jets (1) and (2)

Plateau at high  $\Delta y$  and  $\ln(P_T/Q_0)$

=> Effect of PDFs and/or diffractive exchange

2 MCs are tested (POWHEG, HEJ): *can be used as an element of tuning....*

# Gaps and Azimuths

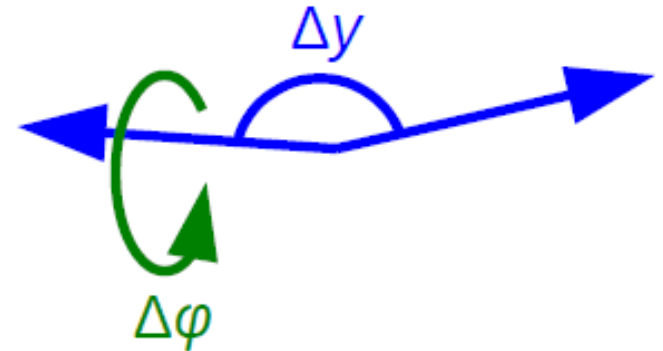


Still the experimental configuration:  
2 jets events with large  $\Delta y$  separation  
(GAP)

Define the correlation function ( $\Delta\phi$ ) of  
jets (1) and (2).

What happens when  $\Delta y$  increases?  
(for Gap versus Inclusive events)

The idea: if more and more gluons are emitted  
between the 2 jets (as  $\Delta y$  increases),  
this should lead to a **de-correlation** of their  
relative azimuthal angle.



# Gaps and Azimuths

Let us note  $\Delta\varphi$  the azimuthal difference between the 2 jets.

We can always write the Fourier series of the normalized cross-section

$$1/\sigma \, d\sigma/d\Delta\varphi (\cdot) = 1/(2\pi) \{1 + 2\sum C_n(\cdot) \cos[n(\pi - \Delta\varphi)]\}$$

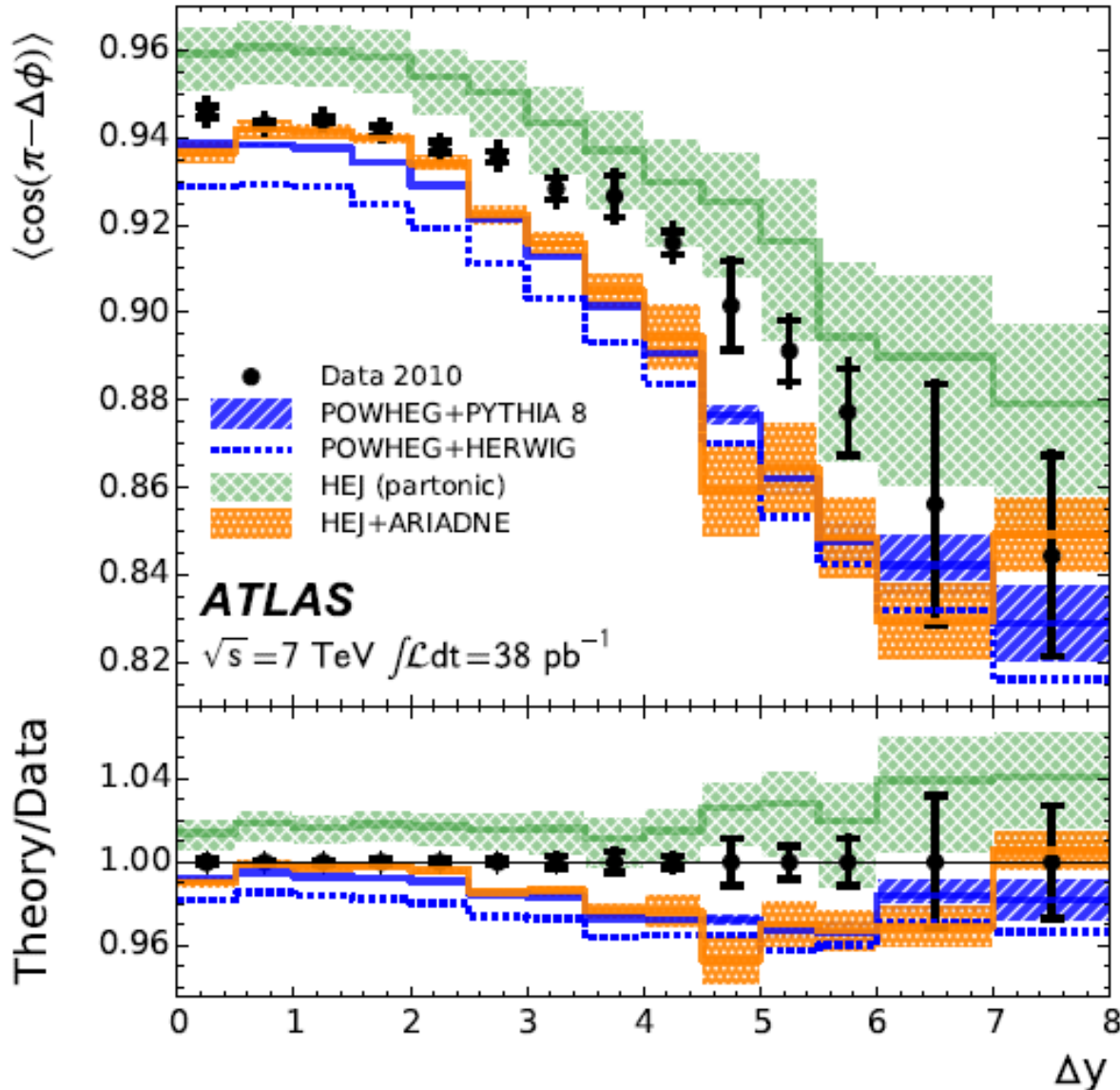
Where:  $C_n(\cdot) = \langle \cos[n(\pi - \Delta\varphi)] \rangle$

If there are only 2 jets with  $\Delta\varphi = \pi \Rightarrow C_n(\cdot) = 1$ .

With the emission of partons (between the 2 jets, even with small transverse momentum)  $\Rightarrow C_n(\cdot) < 1$ .

:= Stronger effect when  $\Delta y = |y_1 - y_2|$  is increased?!

# Azimuthal decorrelation: inclusive events

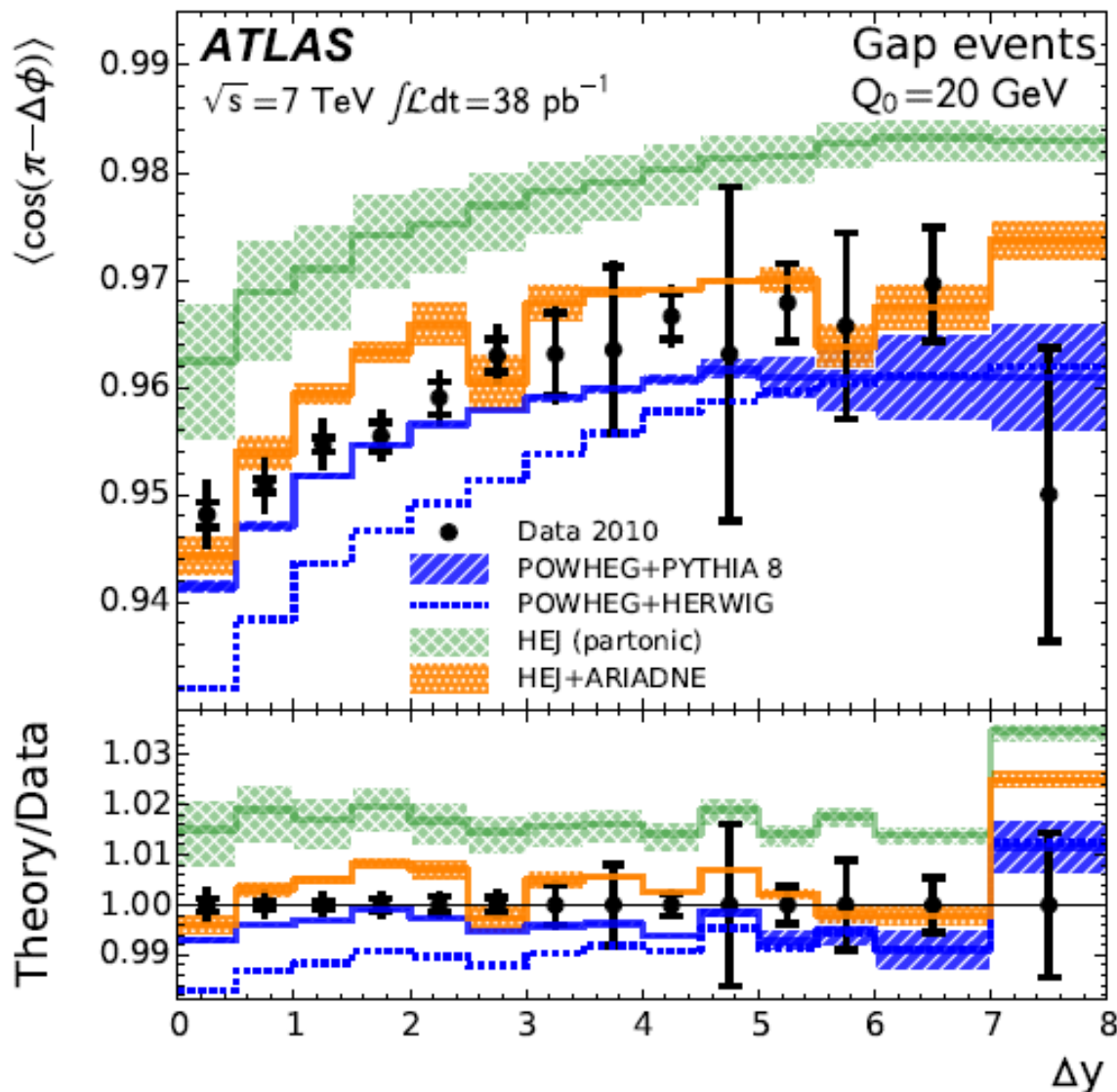


Again, some tensions can be observed between the models...

None of them provide a good description of this first moment function!

However, the general behavior is correct...

# Azimuthal decorrelation: gap events



Here, a veto is applied for potential jets between the 2 leading jets (this defines Gap events in the 2 jets configuration)

Similar conclusions as before

Note:  
 The veto enhances back-to-back topology with the gap size...  
*[C(.) increases]*

# Intermediate summary

## A short anatomy of pp collisions

$$\sigma_{tot} = \sigma_{el} + \sigma_{in}$$

$$\sigma_{in} = \sigma_{parton} + \sigma_{SD} + \sigma_{DD} + \sigma_{DPE}$$

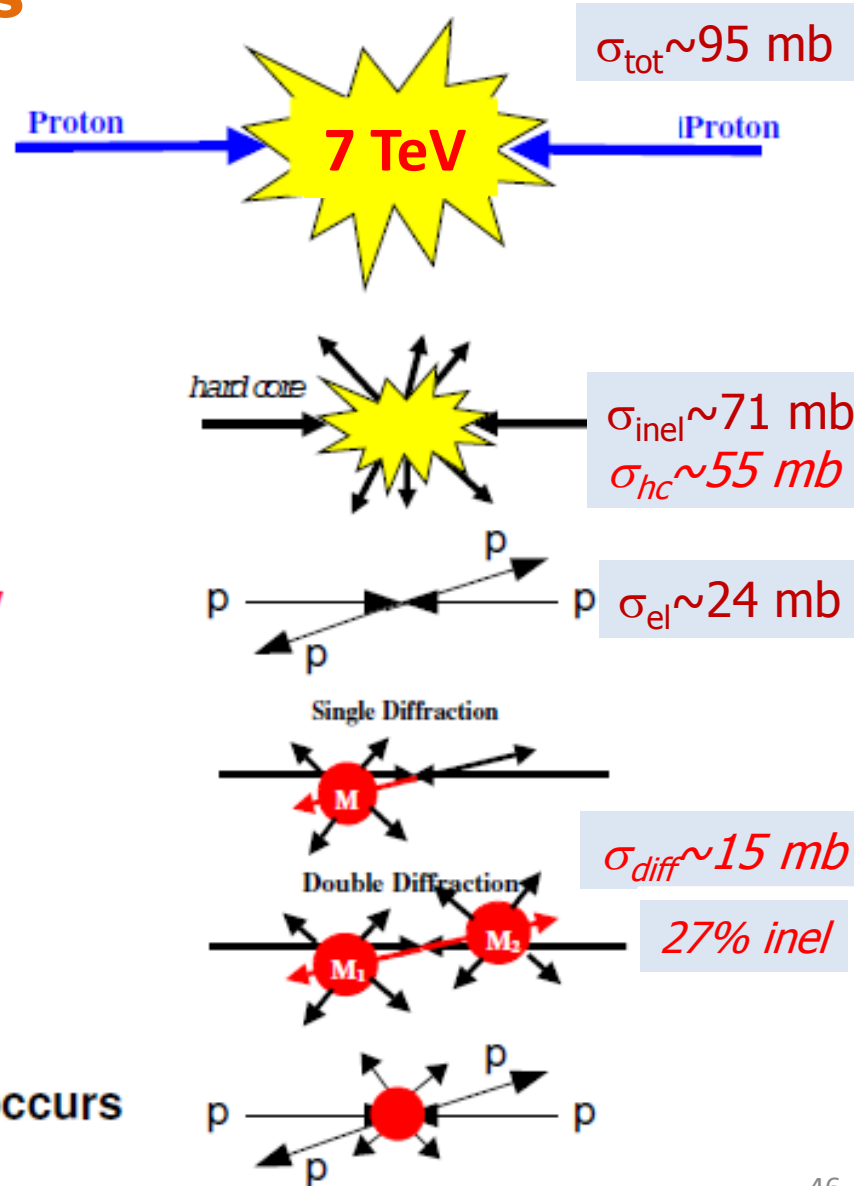
~60% of the time a “hard” collision occurs

~25% of the time the protons scatter elastically

~10% of the time single diffraction occurs

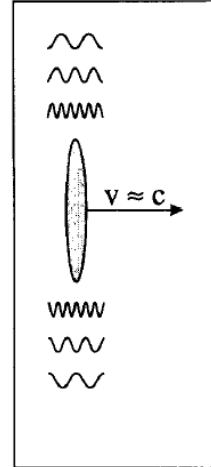
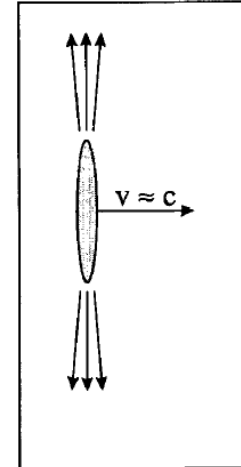
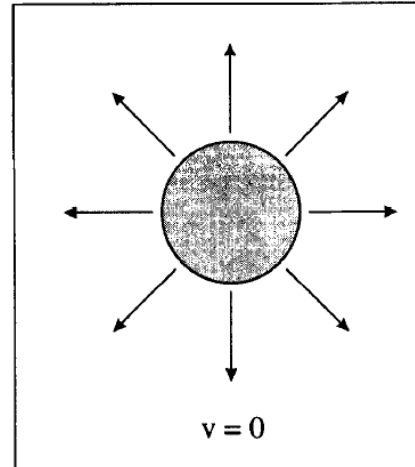
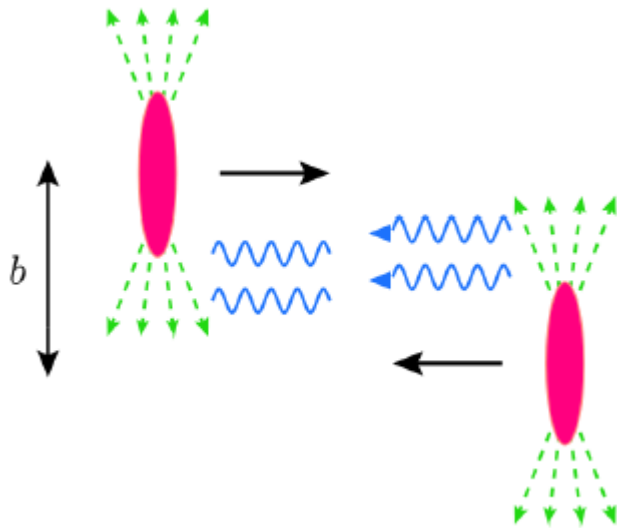
~1% of the time double diffraction occurs

~1% of the time central (exclusive) diffraction occurs



# Probing deeper: $pp \rightarrow (\gamma\gamma) \rightarrow ppX$

Using photons...

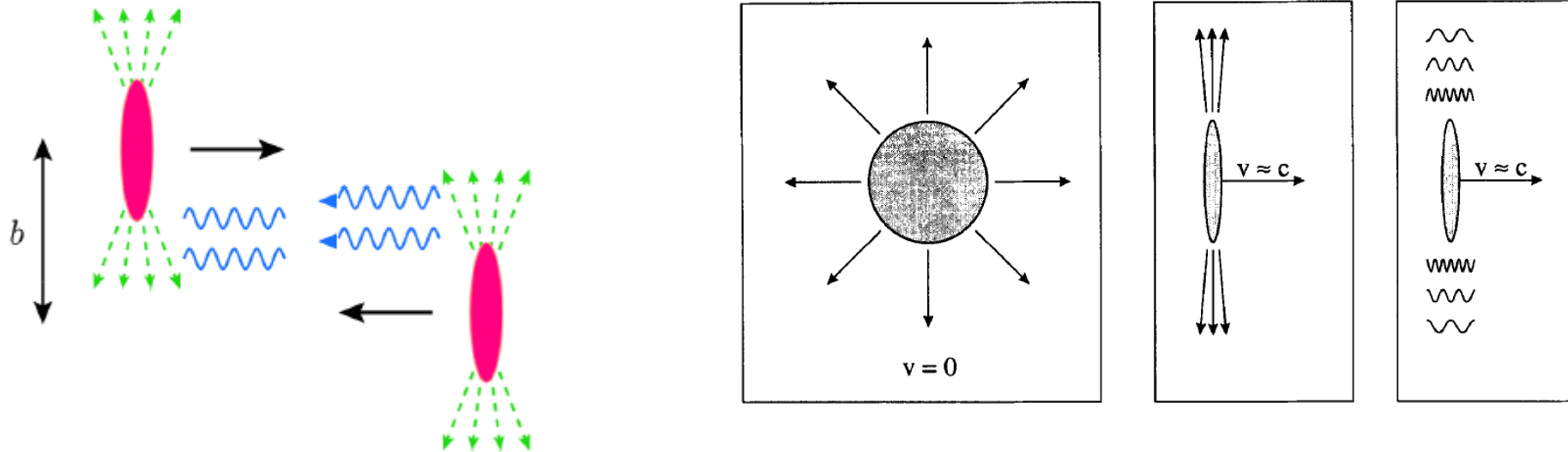


The idea is that when the velocity of a charged particle (proton, Pb)  $\sim c$ , its EM field becomes Lorentz-contracted equivalent to a transverse EM (photon) field...

**This is the Equivalent Photon Approximation (EPA)**

# Probing deeper: $pp \rightarrow (\gamma\gamma) \rightarrow ppX$

Using photons...



The idea is that when the velocity of a charged particle (proton, Pb)  $\sim c$ , its EM field becomes Lorentz-contracted equivalent to a transverse EM (photon) field...

Then, in general, we can write:

$$\sigma(p + p \rightarrow p + p + X) = \int \int f(\omega_1) f(\omega_2) \sigma_{\gamma\gamma \rightarrow X}(\omega_1, \omega_2) \frac{d\omega_1}{\omega_1} \frac{d\omega_2}{\omega_2}$$

$$f(\omega_1) f(\omega_2) \rightarrow \int \int n(\vec{b}_1, \omega_1) n(\vec{b}_2, \omega_2) P_{non-incl}(|\vec{b}_1 - \vec{b}_2|) d^2\vec{b}_1 d^2\vec{b}_2$$

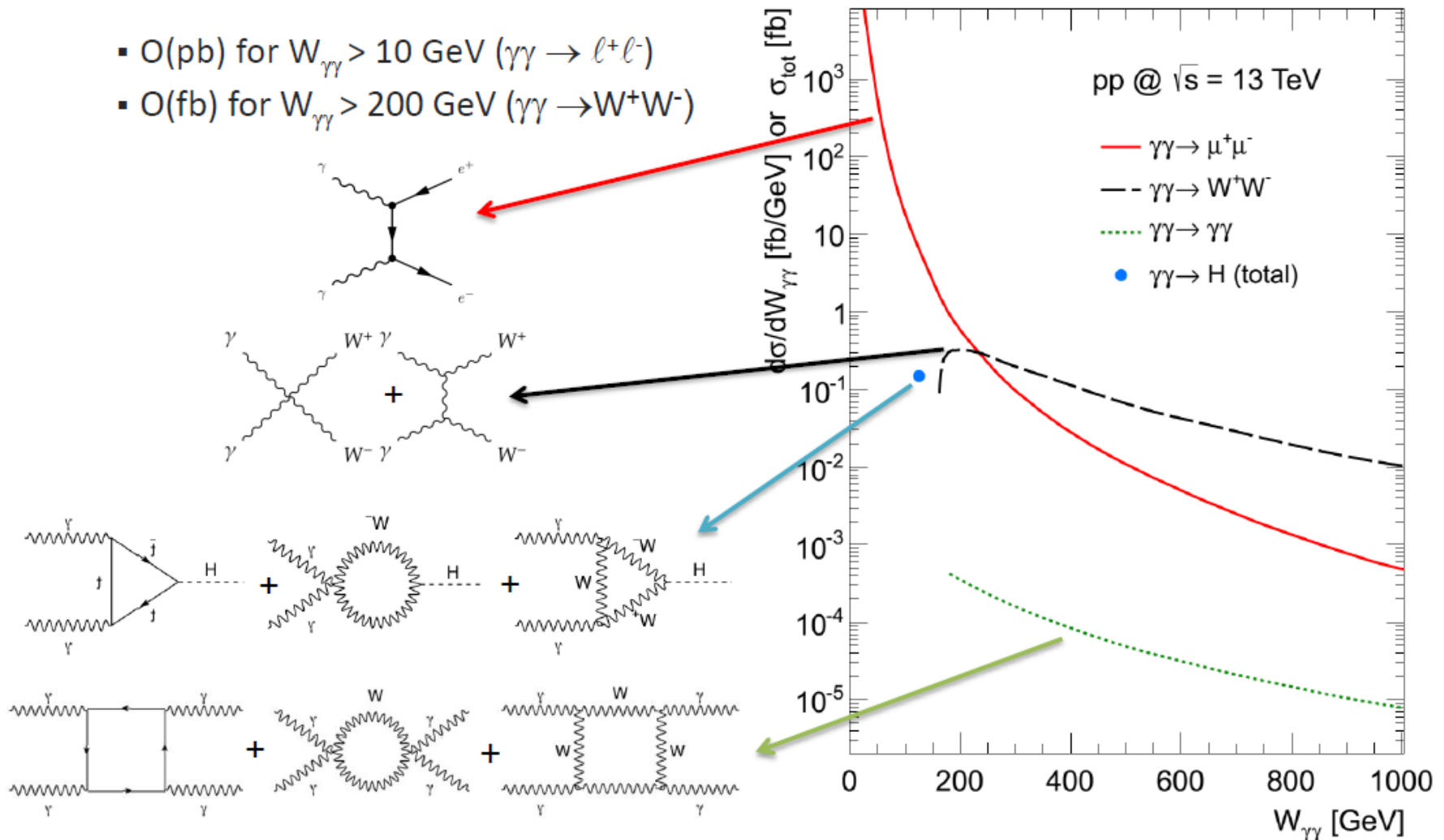
Number(s) of equivalent photons (impact parameter, energy)



# Example of processes @13 TeV

## Elementary cross sections: $\gamma\gamma \rightarrow X$

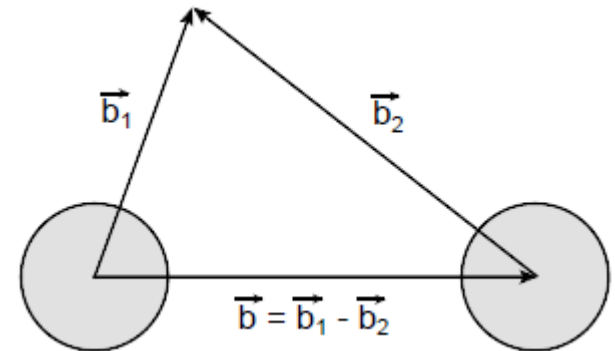
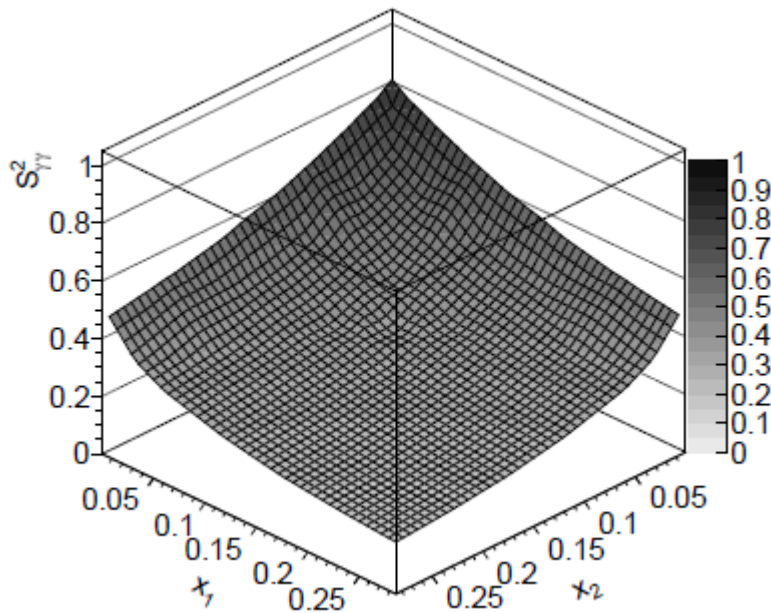
- O(pb) for  $W_{\gamma\gamma} > 10$  GeV ( $\gamma\gamma \rightarrow \ell^+\ell^-$ )
- O(fb) for  $W_{\gamma\gamma} > 200$  GeV ( $\gamma\gamma \rightarrow W^+W^-$ )



# For pp collisions: $\sigma_{\gamma\gamma} \otimes$ #photons from each proton

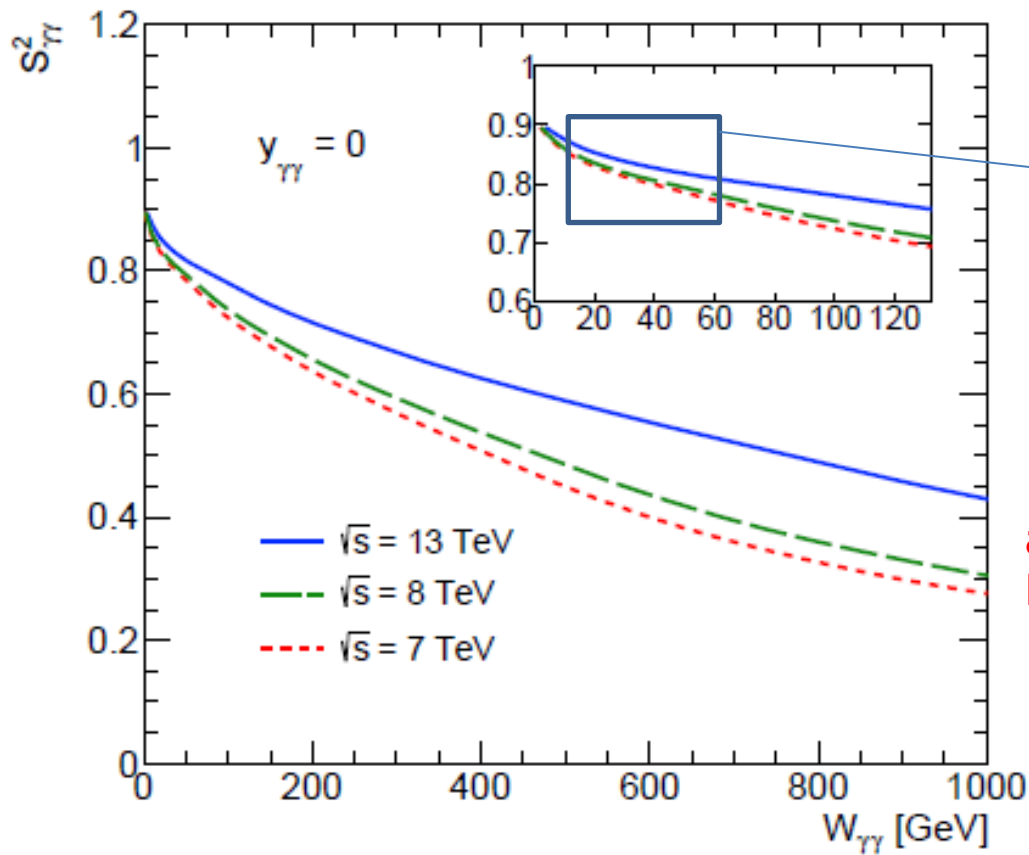
- Also, we must not forget that protons have a finite size.
- This can be translated into a survival factor of the cross section

$$S_{\gamma\gamma}^2 = \frac{\int_{b_1 > r_p} \int_{b_2 > r_p} n(\vec{b}_1, \omega_1) n(\vec{b}_2, \omega_2) P_{non-inel}(|\vec{b}_1 - \vec{b}_2|) d^2\vec{b}_1 d^2\vec{b}_2}{\int_{b_1 > 0} \int_{b_2 > 0} n(\vec{b}_1, \omega_1) n(\vec{b}_2, \omega_2) d^2\vec{b}_1 d^2\vec{b}_2}$$



arXiv:1410.2983  
PLB 741 (2015) 66-70

The  $pp \rightarrow (\gamma\gamma) \rightarrow \dots$  cross section with no account of finite size effects will be multiplied by  $S^2$



We can measure  
in this domain  
(at 7 TeV)

arXiv:1410.2983  
PLB 741 (2015) 66-70

Prospects:

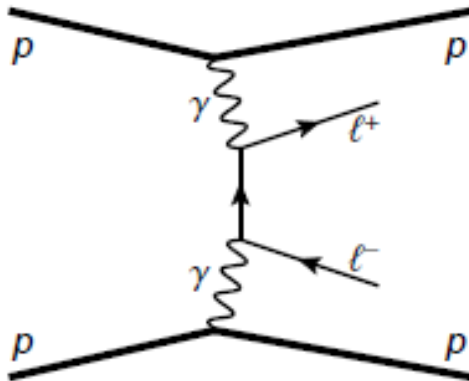
Process	$\sigma_{tot}$	$\sigma_{tot} \otimes S^2_{\gamma\gamma}$	$\langle S^2_{\gamma\gamma} \rangle$
$\gamma\gamma \rightarrow H$ ( $M_H = 125$ GeV)	0.15 fb	0.11 fb	0.74
$\gamma\gamma \rightarrow \mu^+\mu^-$ ( $W_{\gamma\gamma} > 40$ GeV)	12 pb	10 pb	0.8
$\gamma\gamma \rightarrow \mu^+\mu^-$ ( $W_{\gamma\gamma} > 160$ GeV)	36 fb	25 fb	0.7
$\gamma\gamma \rightarrow W^+W^-$	82 fb	53 fb	0.65
$\gamma\gamma \rightarrow \gamma\gamma$ ( $W_{\gamma\gamma} > 200$ GeV)	0.06 fb	0.04 fb	0.64

$\sqrt{s} = 13$  TeV

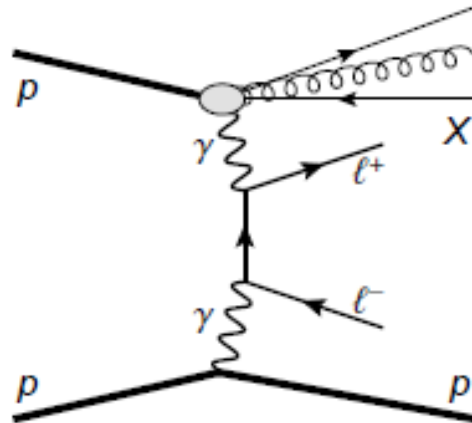
# Measurement of $pp \rightarrow (\gamma\gamma) \rightarrow ppX$ (at 7 TeV) with $X = \text{di-lepton}$

Prerequisites: The measurement (and its interpretation) are complicated by the fact that the proton does not stay necessarily intact:

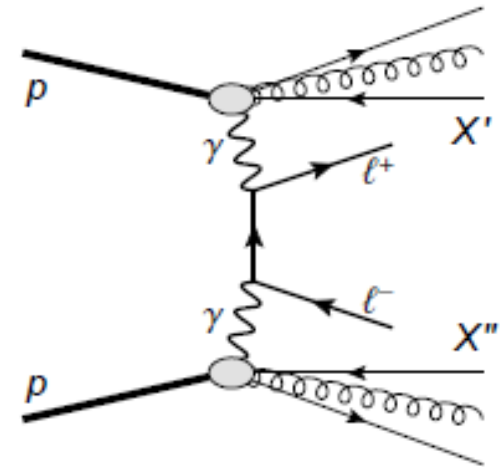
**elastic**



**SD**



**DD**

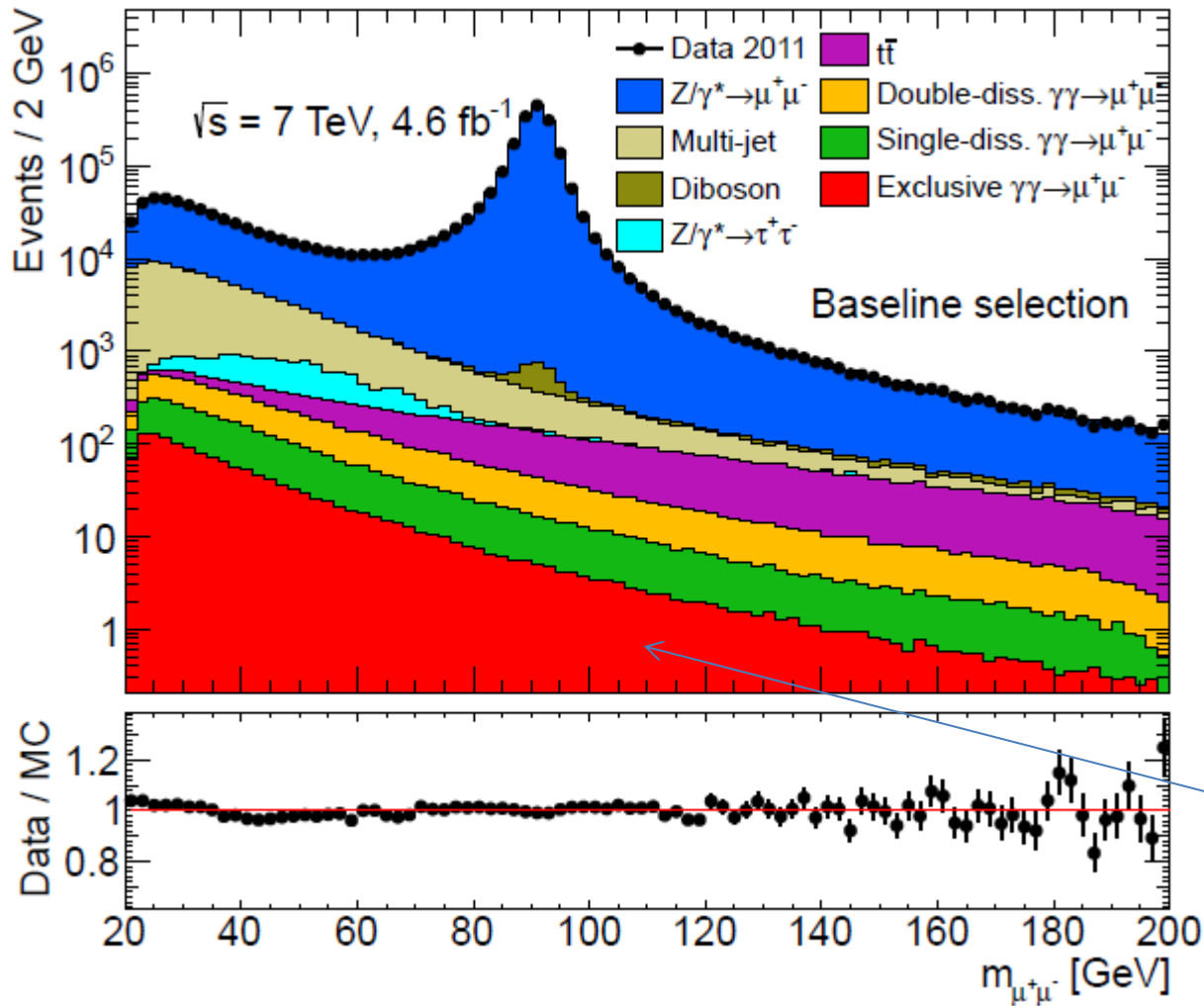


Fiducial phase-space of the analysis:

- $p_T^\mu > 10 \text{ GeV}$ ,  $|\eta_\mu| < 2.4$ ,  $M_{\mu+\mu^-} > 20 \text{ GeV}$
- $p_T^e > 12 \text{ GeV}$ ,  $|\eta_e| < 2.4$ ,  $M_{e+e^-} > 24 \text{ GeV}$

# Measurement of $pp \rightarrow (\gamma\gamma) \rightarrow ppX$ (at 7 TeV) with $X = \text{di-lepton}$

Why this is complicated!



Prior to any specific cuts, the selection (di-muon) is dominated by DY.

*Similarly for ee*

We are interested by the red part

# Measurement of $pp \rightarrow (\gamma\gamma) \rightarrow ppX$ (at 7 TeV) with $X = \text{di-lepton}$

## Analysis strategy:

- ONLY 2 tracks ( $p_T > 400$  MeV) associated to vertex, formed by the 2 leptons (**exclusivity** selection)
- Vertex is requested to be isolated from other possible tracks (to remove again some DY and pile-up backgrounds)
- The  $p_T$  of the di-lepton system is requested to be small ( $< 1.5$  GeV) to keep elastic protons and reject (as much as possible) SD and DD.
- + cuts at the Z boson peak (to remove almost all remaining DY events)

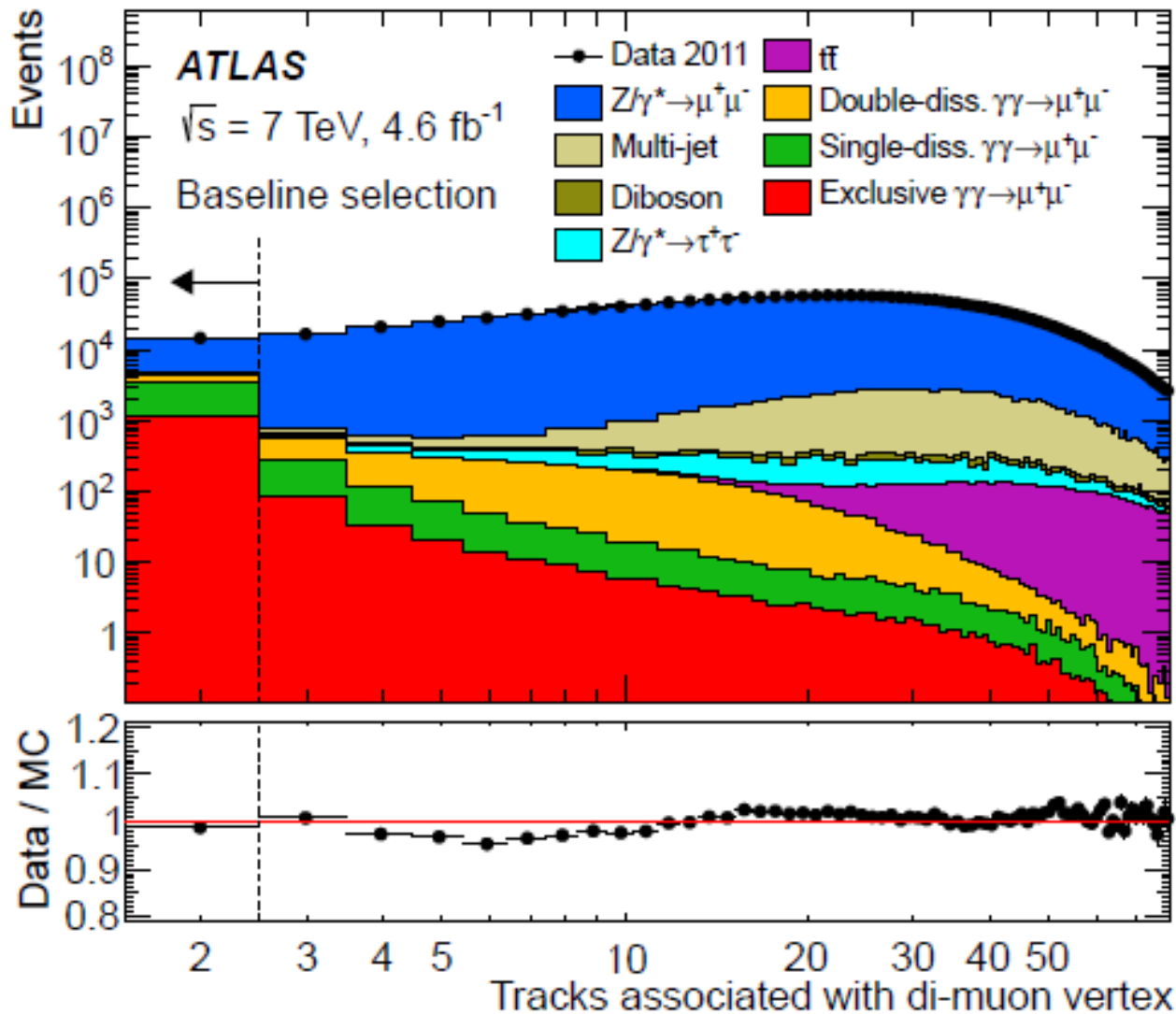
# Measurement: $X = \text{di-lepton} /$

$pp \rightarrow (\gamma\gamma) \rightarrow ppX$

## Exclusivity selection

arXiv:1506.07098

PLB 749 (2015) 242-261

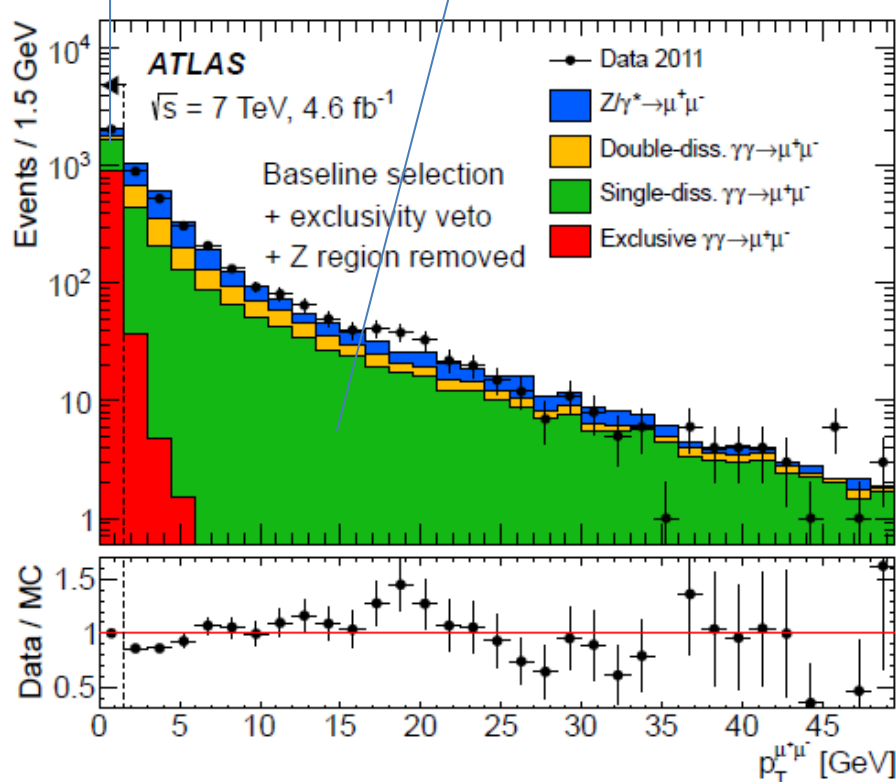
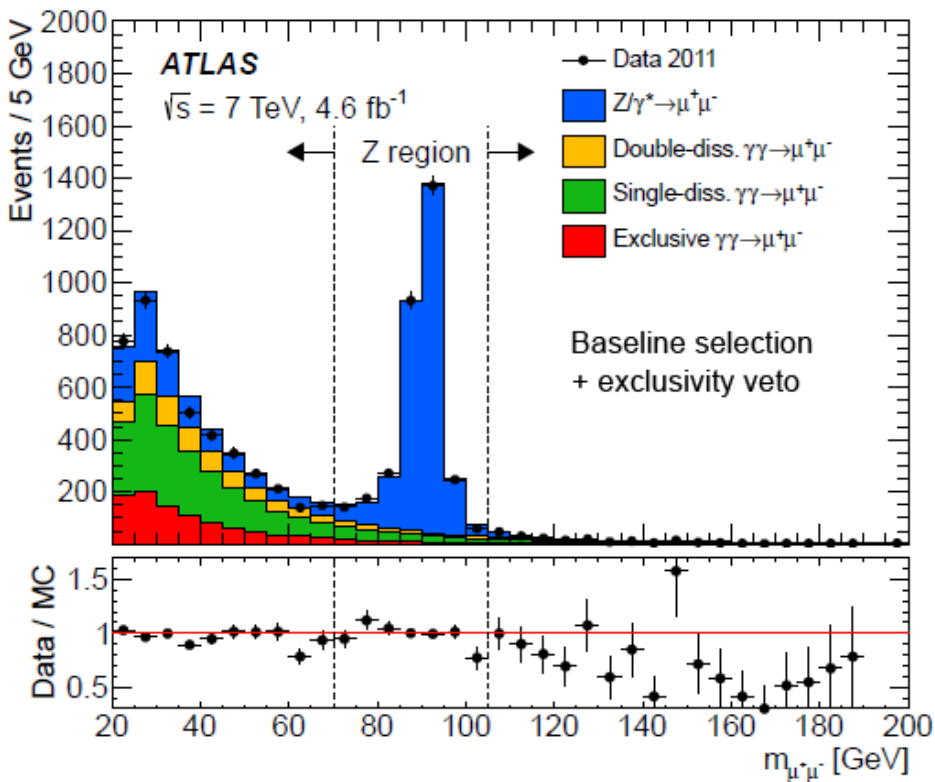


# Measurement: $X = \text{di-lepton}$ / $pp \rightarrow (\gamma\gamma) \rightarrow ppX$

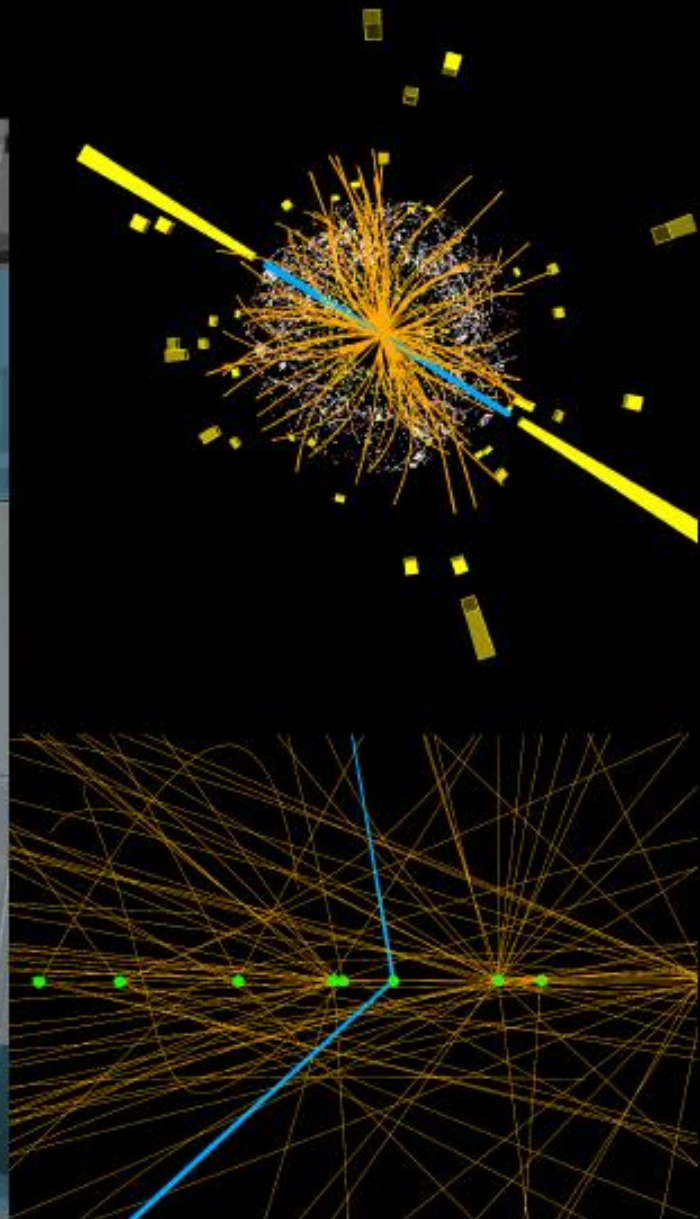
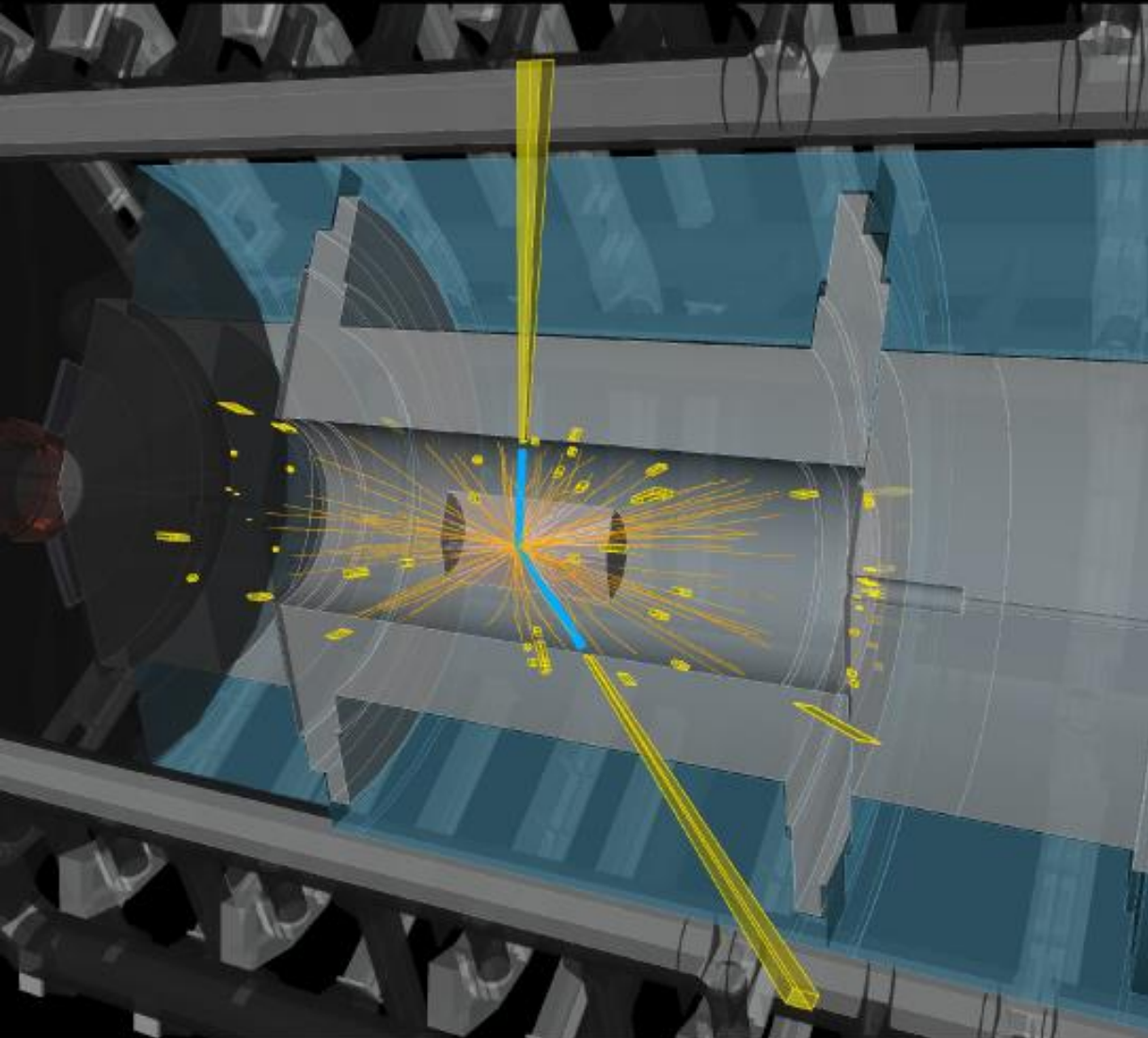
## DY removal and $p_T$ spectrum before cut

We keep this part (small  $p_T$ )

larger  $p_T$ : dominated by SD







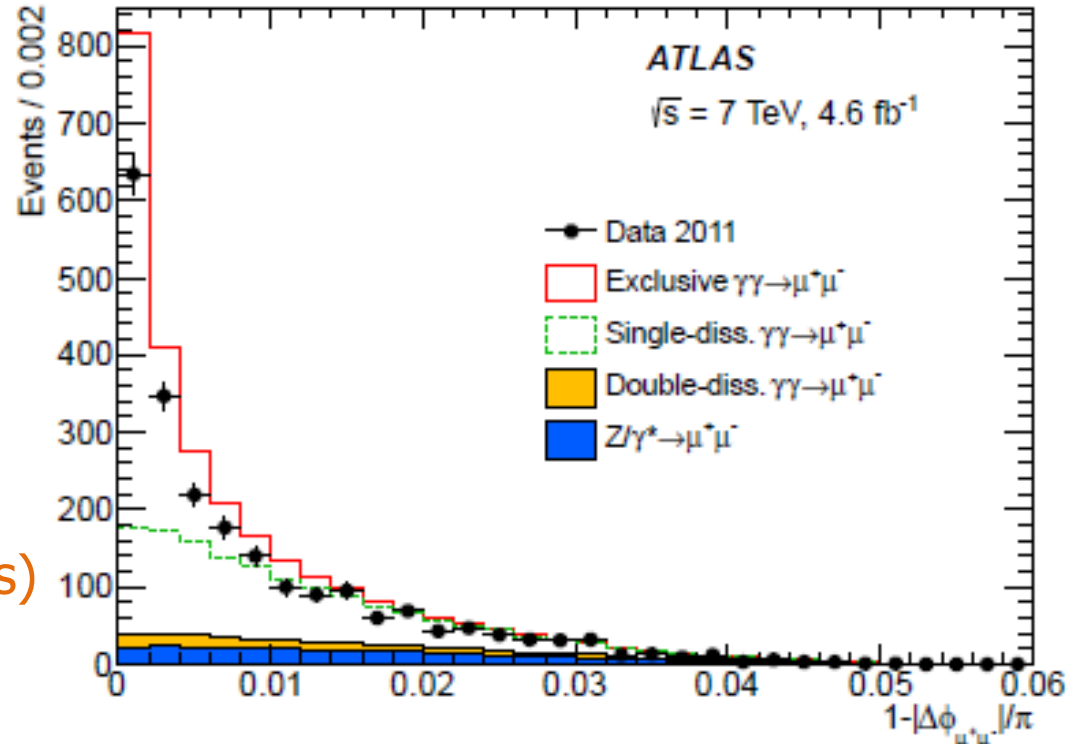
# Measurement: $X = \text{di-lepton} / \text{pp} \rightarrow (\gamma\gamma) \rightarrow \text{pp}X$

## Final step -1-

869 and 2124 events  
selected in  $ee/\mu\mu$  channels

Signal events (elastic)  
 $\sim 50\%$  of the analysis-selected  
sample

MC does not include finite size  
Effects (or absorptive corrections)  
 $\Rightarrow$  Data  $\sim 80\%$  of the prediction



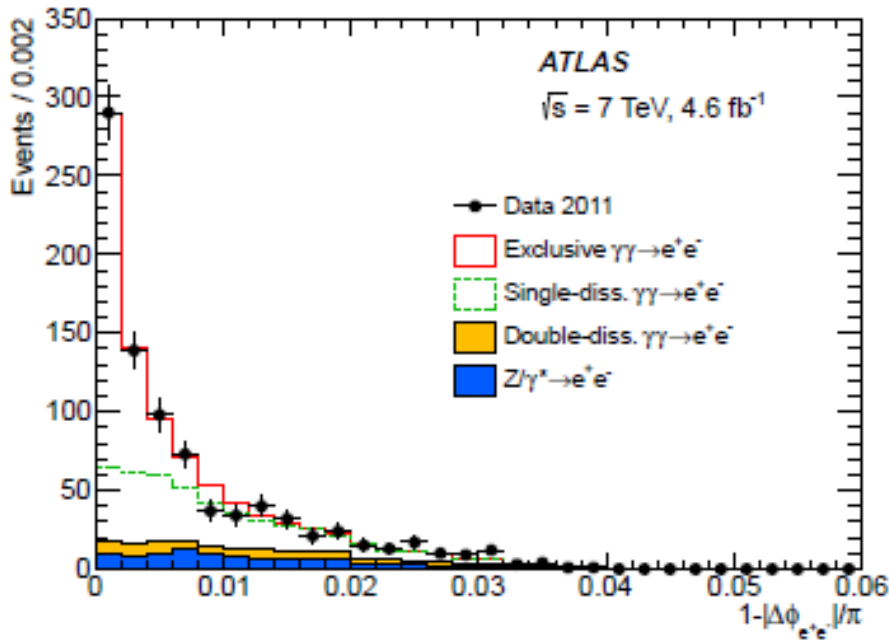
We intend to determine this number precisely!  
for elastic and SD processes...



# Measurement: $X = \text{di-lepton} / pp \rightarrow (\gamma\gamma) \rightarrow ppX$

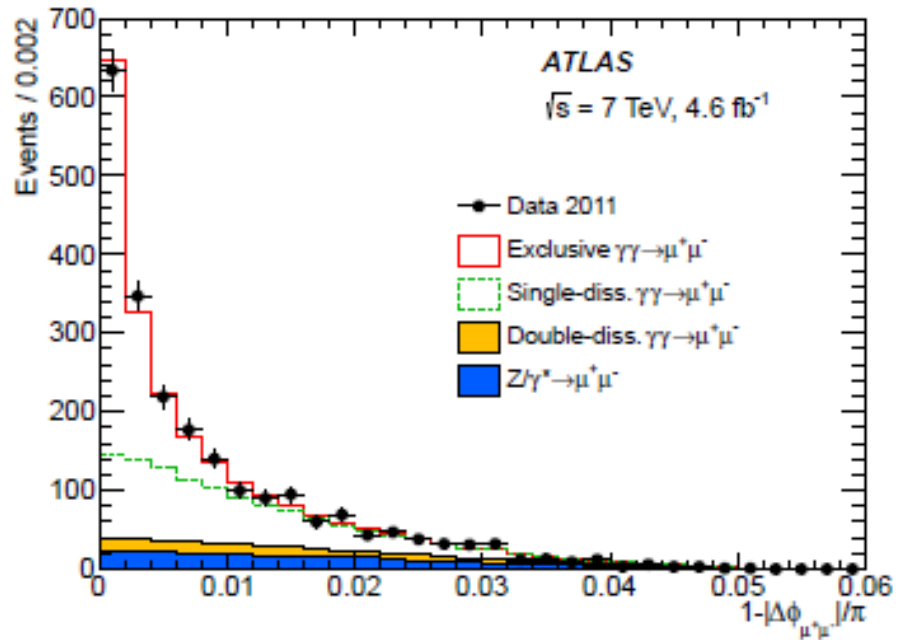
## Final step -2-

- Binned likelihood of signal (exclusive or elastic) and background (SD)
- **DY and DD fixed!** (*DD from Pythia, re-scattering corrections included*)
- Both elastic and SD requires the factor  $\sim 80\%$



$$\blacktriangleright R_{\gamma\gamma \rightarrow e^+e^-}^{\text{excl.}} = 0.863 \pm 0.070$$

$$\blacktriangleright R_{\gamma\gamma \rightarrow \mu^+\mu^-}^{\text{excl.}} = 0.791 \pm 0.041$$



$$R_{\gamma\gamma \rightarrow e^+e^-}^{\text{s-diss}} = 0.759 \pm 0.080$$

$$R_{\gamma\gamma \rightarrow \mu^+\mu^-}^{\text{s-diss}} = 0.762 \pm 0.049$$

# Measurement: $X = \text{di-lepton}$ /

## Systematic uncertainties

$pp \rightarrow (\gamma\gamma) \rightarrow ppX$

dominant sources of systematic uncertainty are from background modeling:

Source of uncertainty	Uncertainty [%]	
	$\gamma\gamma \rightarrow e^+e^-$	$\gamma\gamma \rightarrow \mu^+\mu^-$
Electron reconstruction and identification efficiency	1.9	-
Electron energy scale and resolution	1.4	-
Electron trigger efficiency	0.7	-
Muon reconstruction efficiency	-	0.2
Muon momentum scale and resolution	-	0.5
Muon trigger efficiency	-	0.6
→ Backgrounds	2.3	2.0
→ Template shapes	1.0	0.9
Pile-up description	0.5	0.5
Vertex isolation efficiency	1.2	1.2
LHC beam effects	0.5	0.5
QED FSR in DY $e^+e^-$	0.8	-
Luminosity	1.8	1.8
Total systematic uncertainty	4.3	3.3
Data statistical uncertainty	8.2	5.1

# Measurement: $X = \text{di-lepton} /$

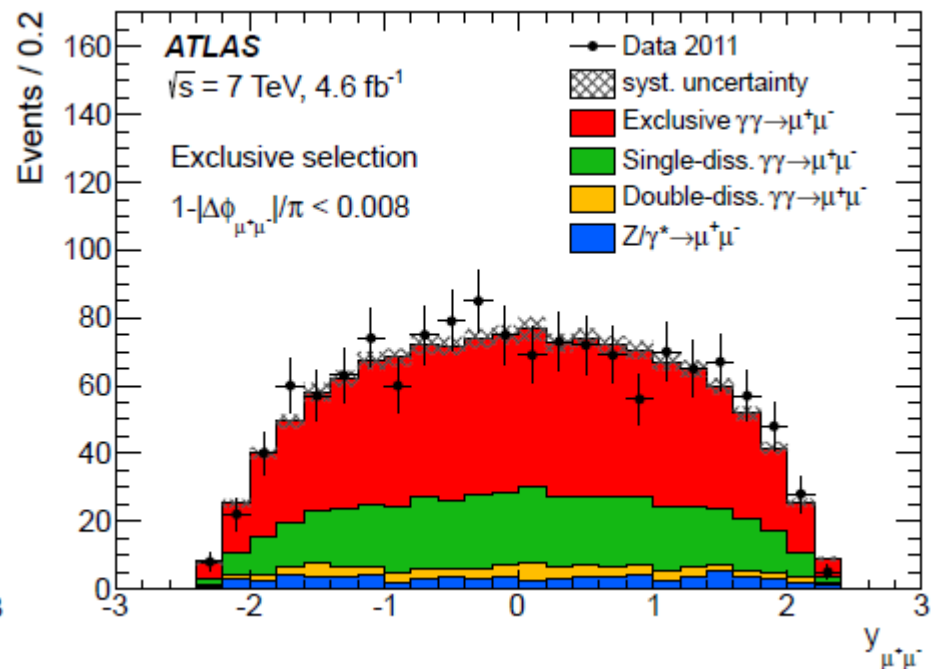
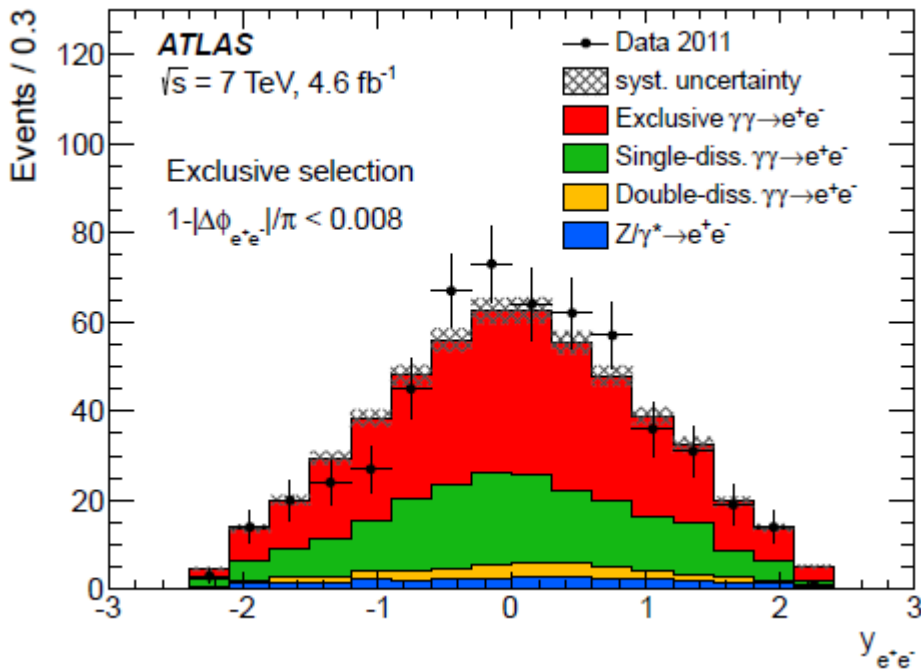
$pp \rightarrow (\gamma\gamma) \rightarrow ppX$

## Control distributions

Apply the derived scaling factors to MCs (elastic and SD)

=>

The description data/MC is good!



# Measurement: $X = \text{di-lepton}$ / $pp \rightarrow (\gamma\gamma) \rightarrow ppX$

## Cross sections

$$R_{\gamma\gamma \rightarrow e^+e^-}^{\text{excl.}} = 0.863 \pm 0.070$$

$$R_{\gamma\gamma \rightarrow \mu^+\mu^-}^{\text{excl.}} = 0.791 \pm 0.041$$



$$\sigma_{\gamma\gamma \rightarrow l+l-}^{\text{excl.}} = R_{\gamma\gamma \rightarrow l+l-}^{\text{excl.}} \cdot \sigma_{\gamma\gamma \rightarrow l+l-}^{\text{EPA}}$$



Cross sections in the fiducial region  
(inside the kinematical cuts)

Variable	Electron channel	Muon channel
$p_T^l$	$> 12 \text{ GeV}$	$> 10 \text{ GeV}$
$ \eta^l $	$< 2.4$	$< 2.4$
$m_{l+l-}$	$> 24 \text{ GeV}$	$> 20 \text{ GeV}$

$$\sigma_{\gamma\gamma \rightarrow e^+e^-}^{\text{excl.}} = 0.428 \pm 0.035 \text{ (stat.)} \pm 0.018 \text{ (syst.) pb}$$

$$\sigma_{\gamma\gamma \rightarrow \mu^+\mu^-}^{\text{excl.}} = 0.628 \pm 0.032 \text{ (stat.)} \pm 0.021 \text{ (syst.) pb}$$

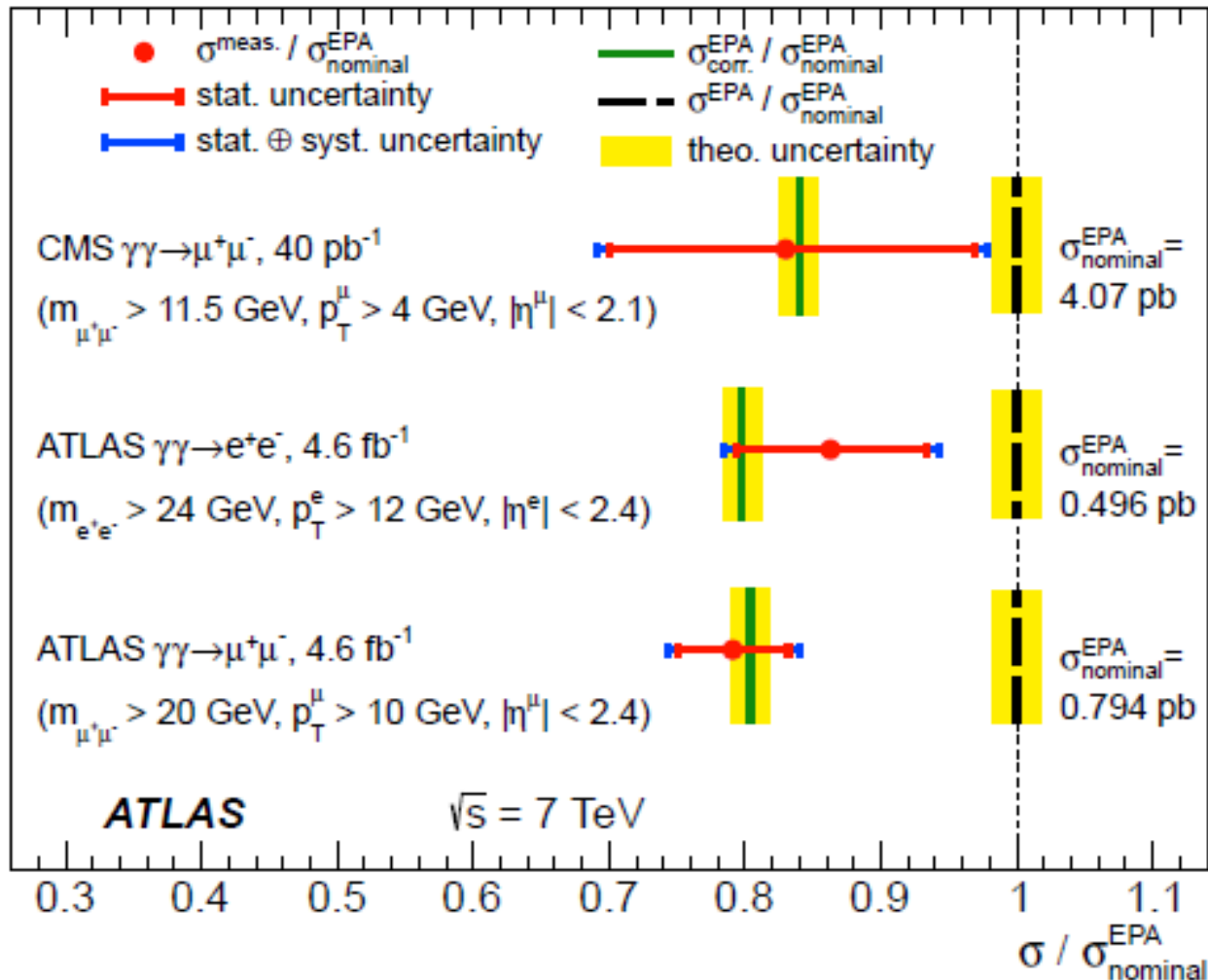
# Measurement: $X = \text{di-lepton} /$ Cross sections –summary–

$pp \rightarrow (\gamma\gamma) \rightarrow ppX$

$$R_{\gamma\gamma \rightarrow e^+e^-}^{\text{excl.}} = 0.863 \pm 0.070$$

$$R_{\gamma\gamma \rightarrow \mu^+\mu^-}^{\text{excl.}} = 0.791 \pm 0.041$$

arXiv:1506.07098  
PLB 749 (2015) 242-261



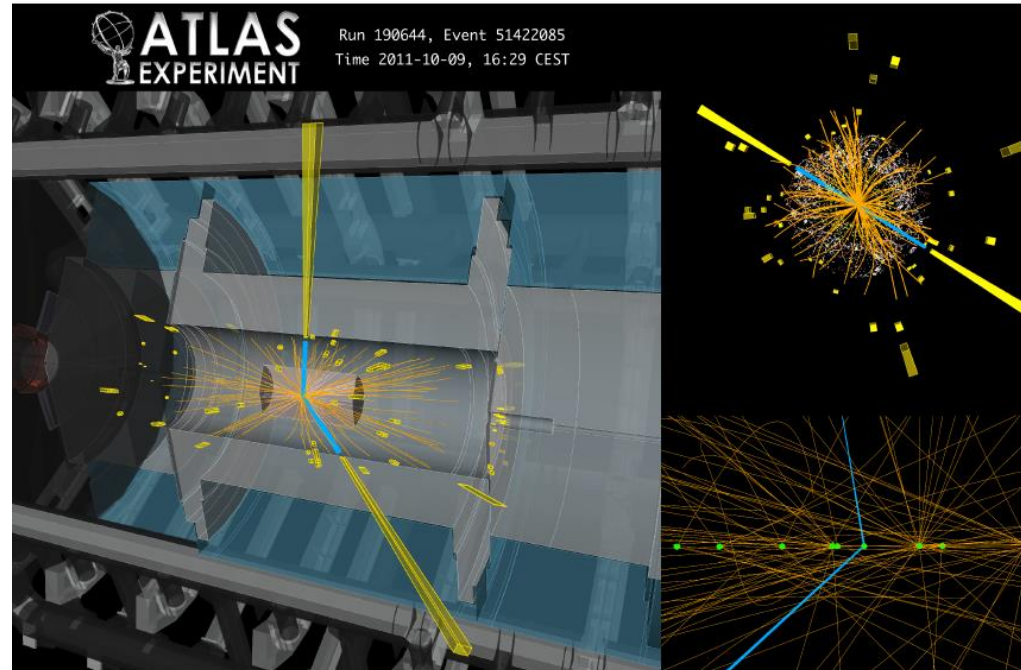
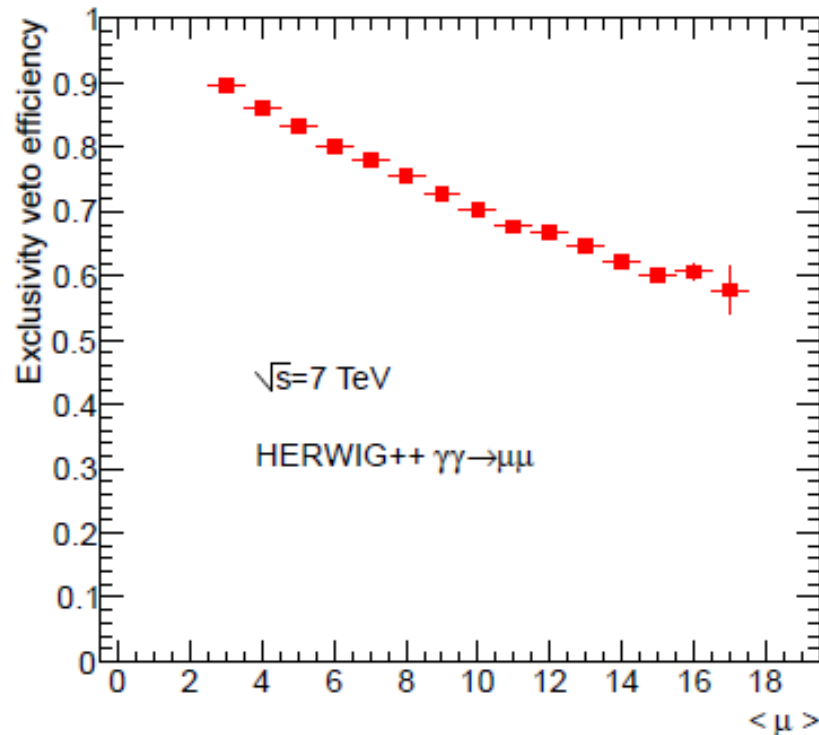
# Intermediate summary

## On $pp \rightarrow (\gamma\gamma) \rightarrow \dots$ processes

We have shown experimentally that:

This is possible to define an exclusivity selection in order to identify 'exclusive' events with a good efficiency –in the presence of Pile Up Events  $\langle \mu \rangle$ –

This is something promising for any analysis of this kind!





# Intermediate summary

## On $pp \rightarrow (\gamma\gamma) \rightarrow ppX$ processes

Example of potential studies:  $X=WW$  ;  $X=\gamma\gamma$  ; ...  
and many others in the exotic context...

**This is a wide domain of experimental research... only starting.**

A few points to keep in mind:

a) Take the correct scale for  $\alpha_{EM}$  (which means  $0 \text{ GeV}^2$  for elastic)

b) This is not correct to write (even implicitly) a relation like:

$$\sigma_{\text{eff}}(2l) / \sigma_{\text{EPA}}(2l) = \sigma_{\text{eff}}(WW) / \sigma_{\text{EPA}}(WW)$$

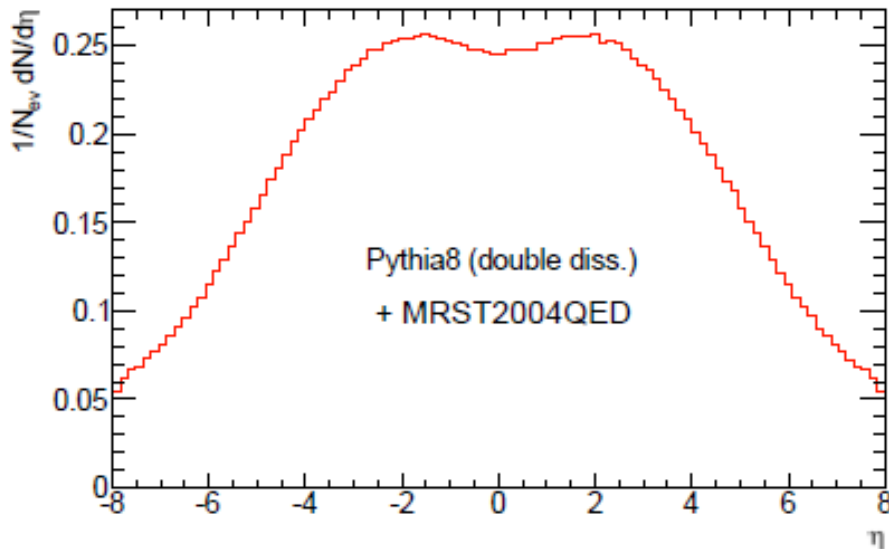
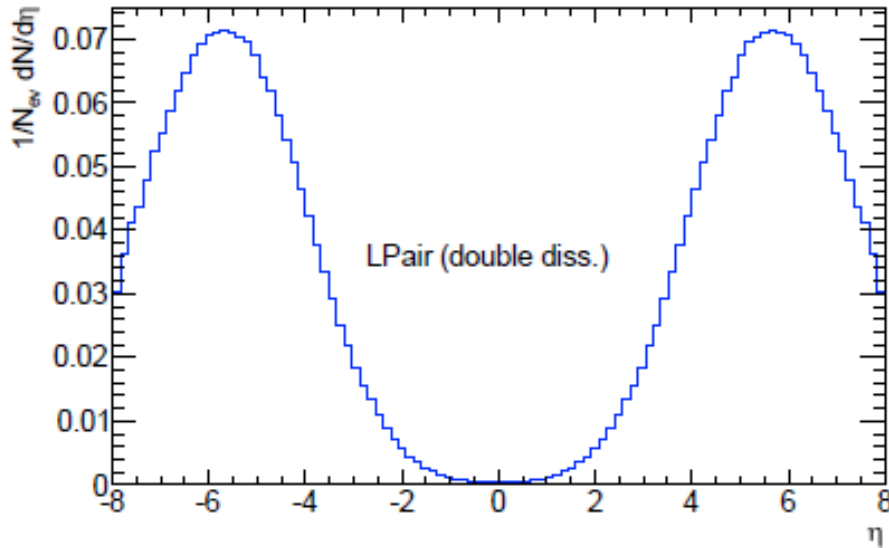
and then use this relation to scale predictions...

**Interestingly, all this can be done in  $PbPb \rightarrow (\gamma\gamma) \rightarrow PbPbX$**   
*with advantages and drawbacks compared to  $pp$ ...*



# Additional: MCs

For  $pp \rightarrow (\gamma\gamma) \rightarrow YY X$  processes



Treatment in **LPAIR**

This produces only particles  
in the forward directions

'Correct' treatment in **Pythia8**

Particles are also visible in  
the central part of the detector

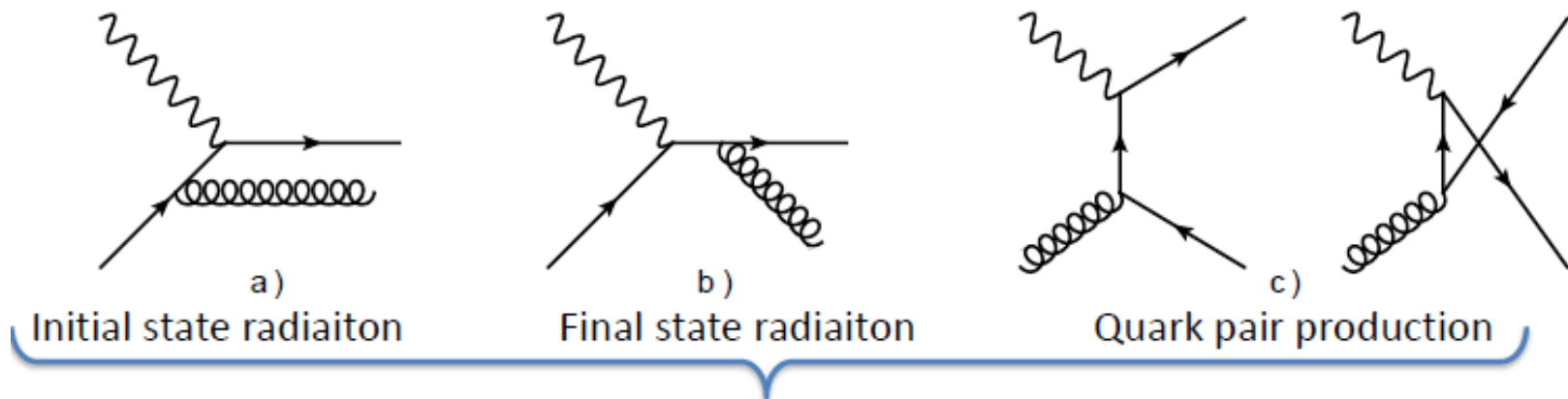
Then:

A large part of the 'total' cross-section  
is missed by LPAIR (/Phythia8)  
or any approach à la LPAIR  
for proton-dissociative events...

# Additional: MCs

## For $pp \rightarrow (\gamma\gamma) \rightarrow YY X$ processes

- $O(\alpha_s)$  corrections to the  $\gamma q \rightarrow q$  process should have to be also considered

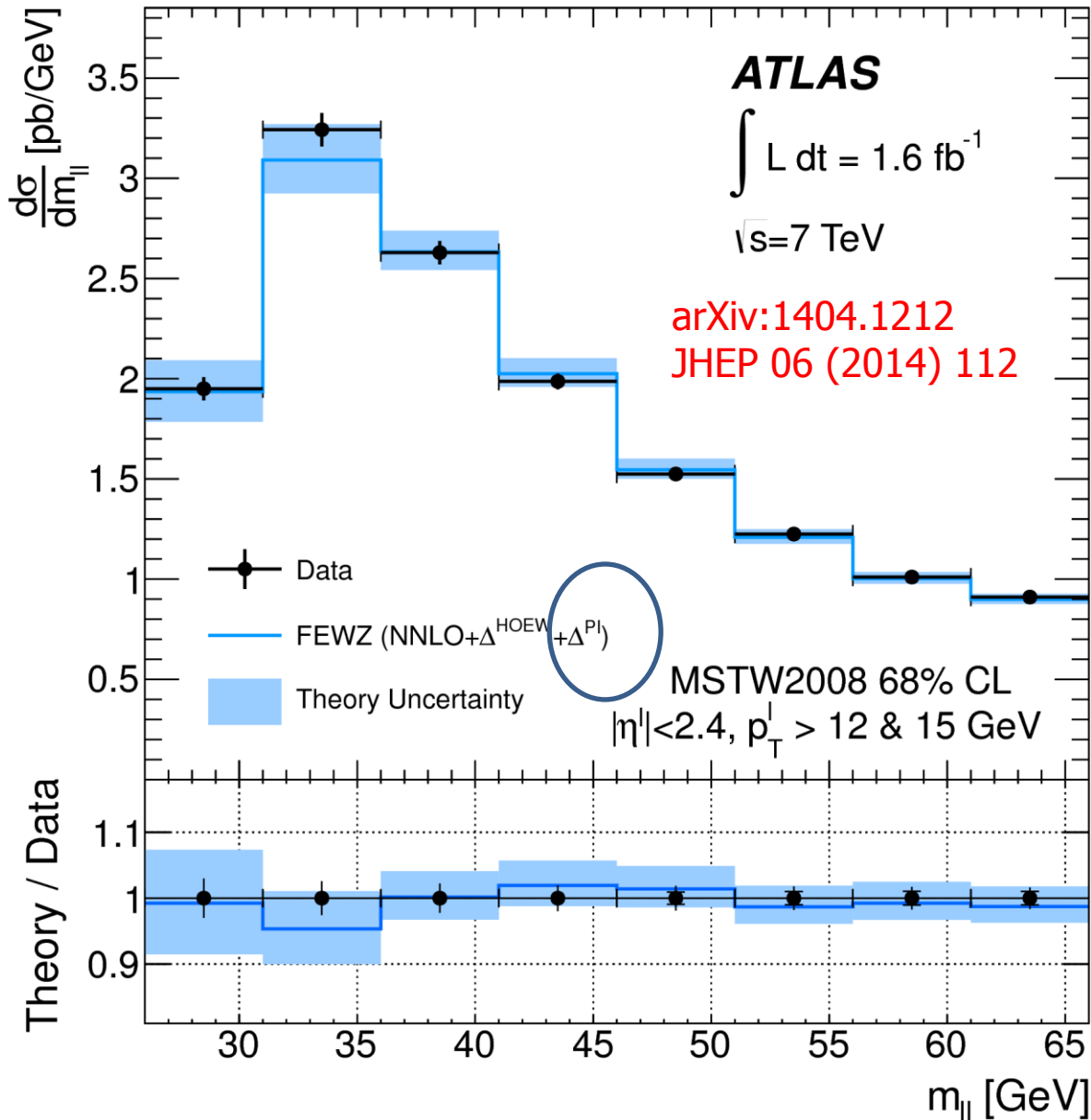


$\approx 40\%$  contribution to the double-dissociative cross section (PYTHIA8)

- Enhancement of the cross section (diss part)
- Increased underlying event activity in the central detector
- Total cross section comparison: ( $M_{\mu\mu} > 20$  GeV,  $p_T^\mu > 10$  GeV,  $|\eta_\mu| < 2.5$ )

Generator	LPAIR (s-diss)	LPAIR (d-diss)	PYTHIA 8 (d-diss) + MRST2004QED
Cross-section	0.87 pb	1.02 pb	7.72 pb

# Additional: Photon Induced reactions in DY

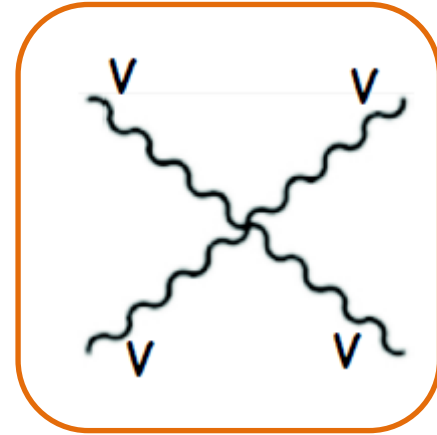


2 to 3% contribution of PI has been estimated...

and the data/theory comparison looks reasonable

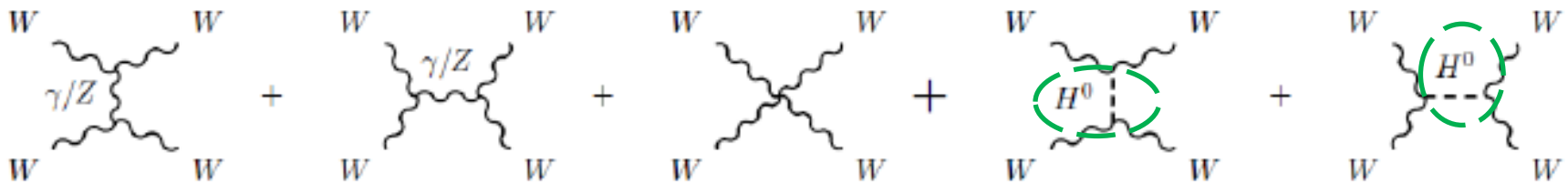
# Probing even deeper

## Using Vector Boson Scattering...



*QGC:=Quartic Gauge Coupling*

$$\mathcal{A}(W_L W_L \rightarrow W_L W_L) \propto \frac{g_W^2}{v^2} \left[ -s - t + \frac{s^2}{s - m_H^2} + \frac{t^2}{t - m_H^2} \right]$$



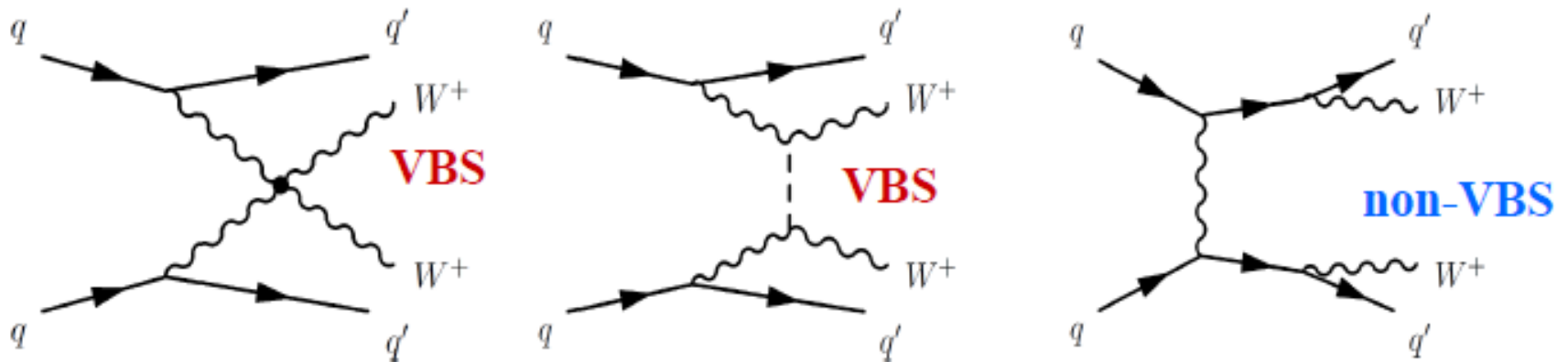
Direct probe of the nature of the electroweak symmetry breaking mechanism EWSB

*General motivation:*

This is a high priority: we need to understand QGCs to tell if the Higgs unitarizes the process  $WW \rightarrow WW$

# WW scattering

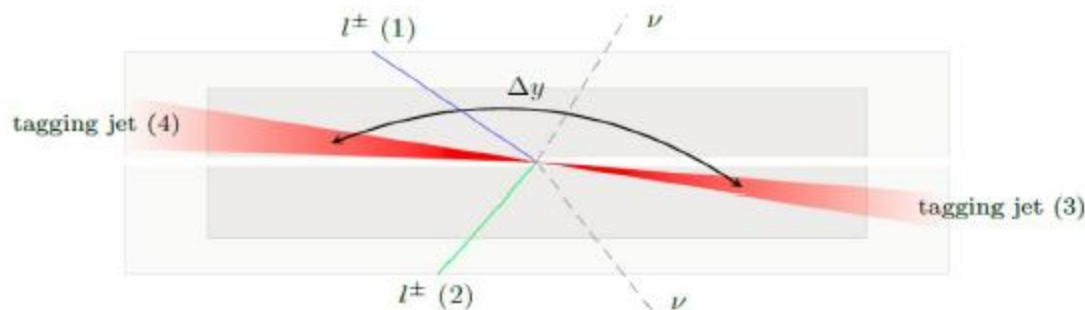
Electro-weak same-sign WW production (+2 jets) gets contributions from VBS diagrams (and non-VBS):



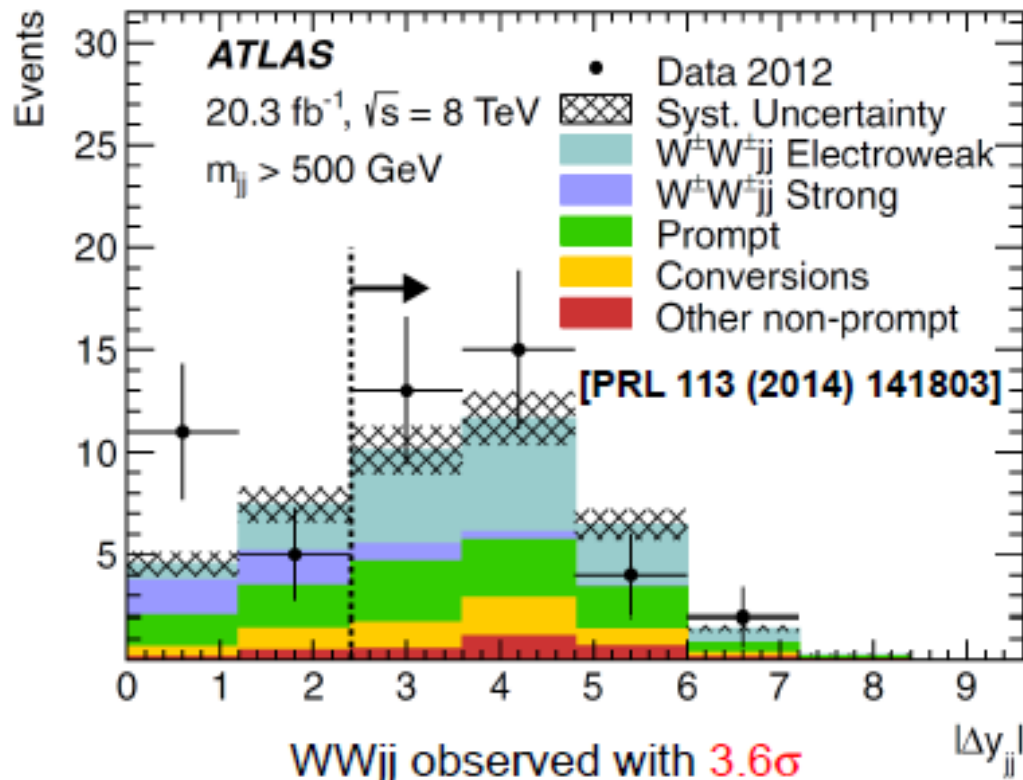
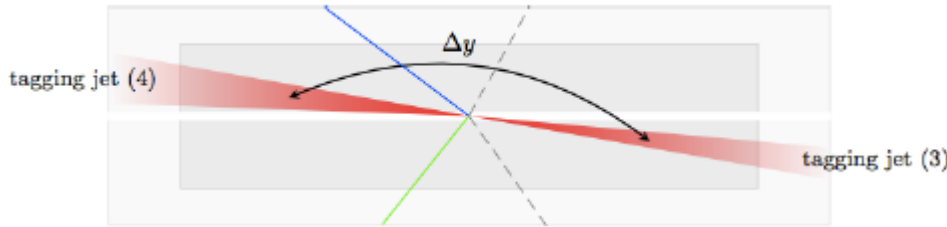
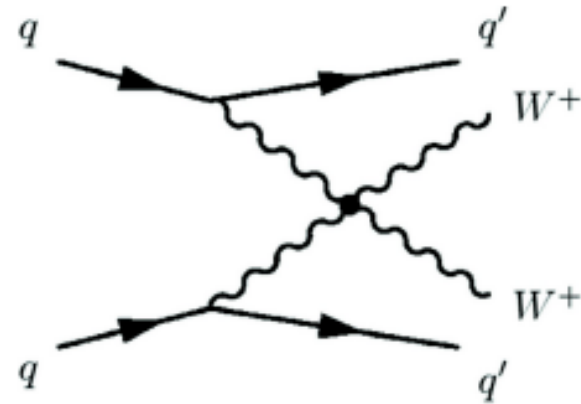
This is a promising channel for early VBS searches (low backgrounds)

The idea to identify the VBS signature:

**two jets with large rapidity separation and large mass!**



# WW scattering



First evidence of same sign WW

Signal:

(a) Same sign di-leptons

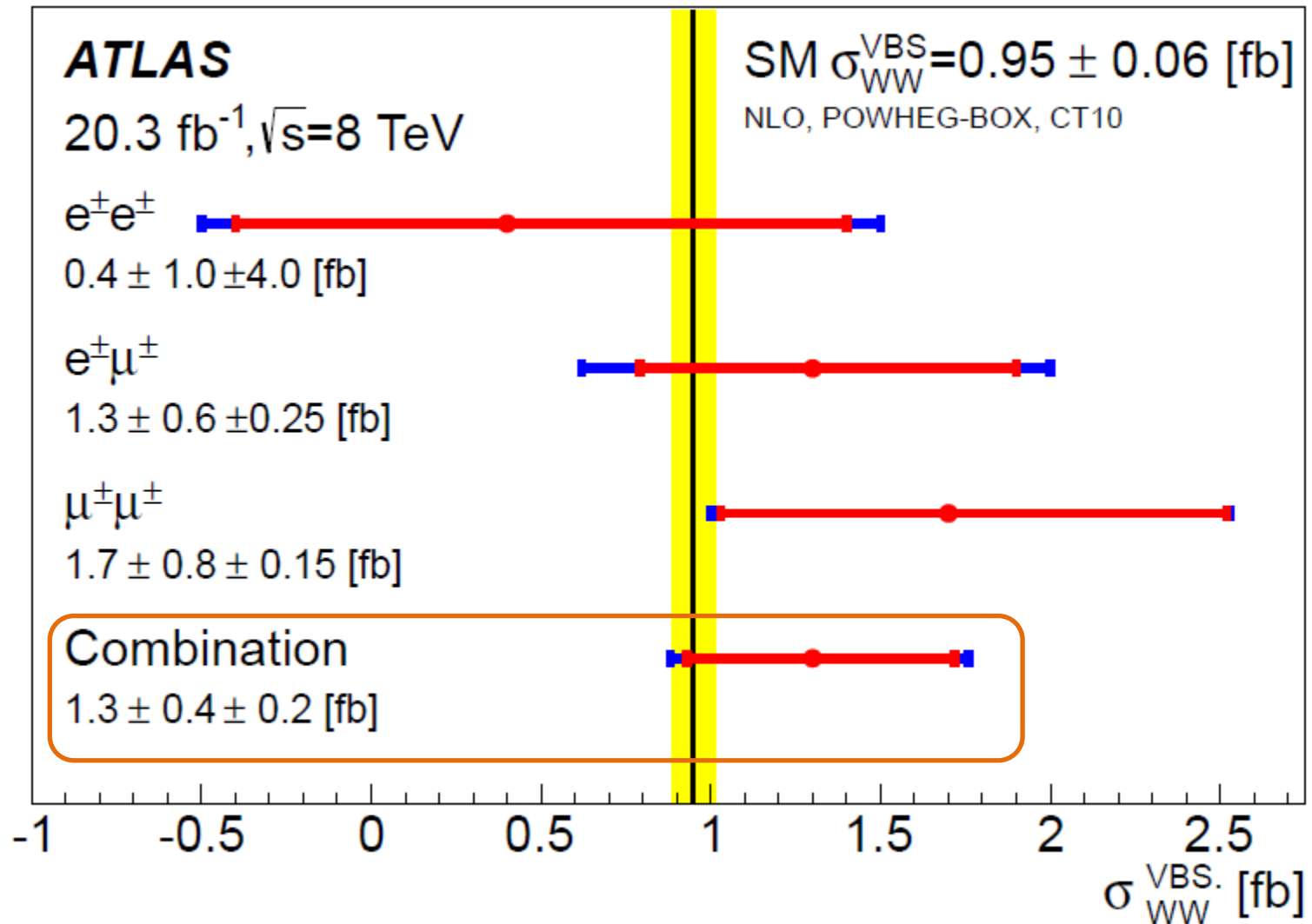
(b) 2 high pT jets with a large gap between them

ATLAS:  $\sigma^{\text{fid}} = 1.3 \pm 0.4(\text{stat}) \pm 0.2(\text{syst}) \text{ fb}$

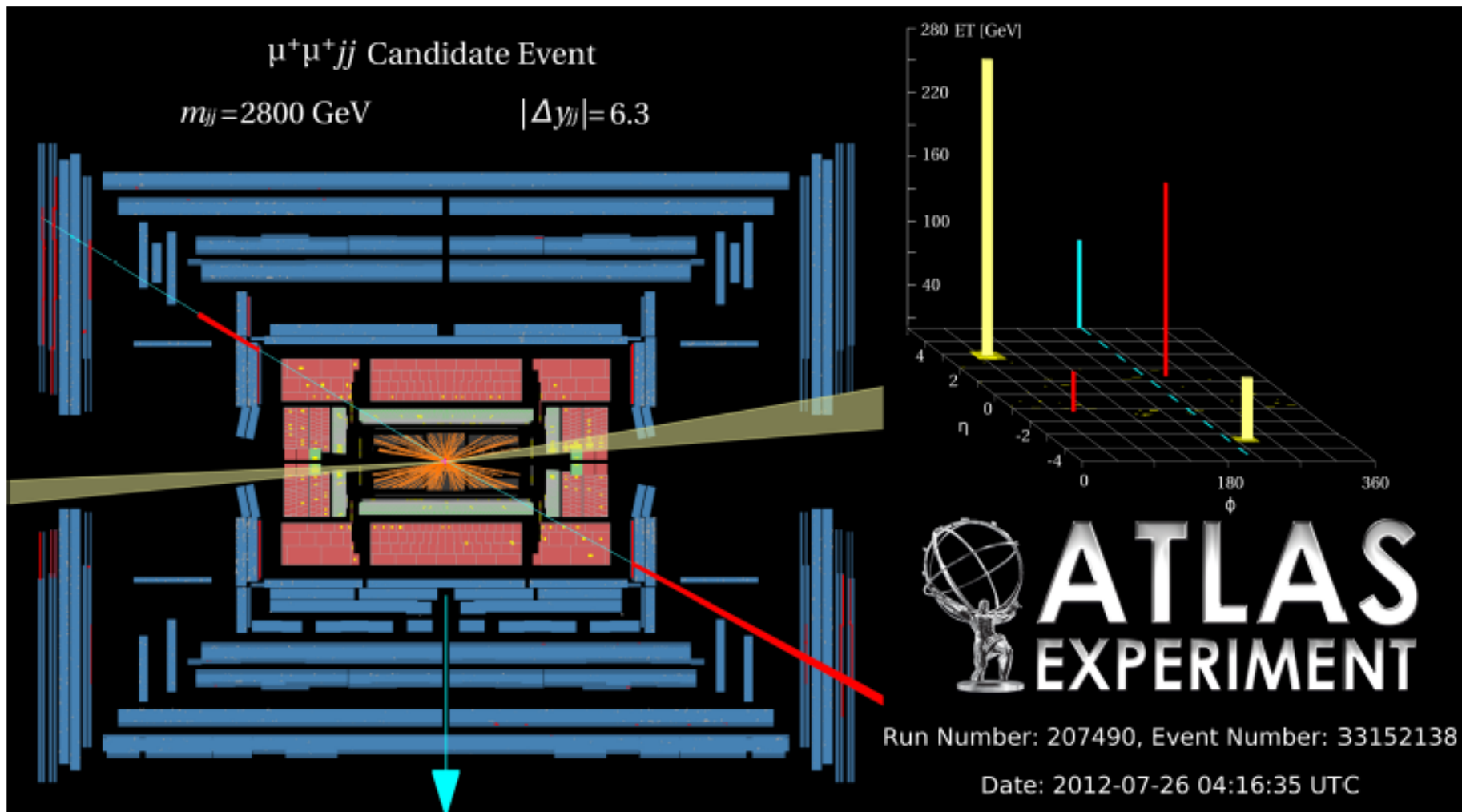
Predicted:  $0.95 \pm 0.06 \text{ fb}$



# WW scattering: VBS cross section



# WWjj event in ATLAS



jets:  $p_T^{j1} = 271$  GeV,  $p_T^{j2} = 54$  GeV,  $\eta^{j1} = 2.9$ ,  $\eta^{j2} = -3.4$   
 muons:  $p_T^{\mu1} = 180$  GeV,  $p_T^{\mu2} = 38$  GeV,  $\eta^{\mu1} = 1.4$ ,  $\eta^{\mu2} = -1.3$

$E_T^{\text{miss}} = 75$  GeV

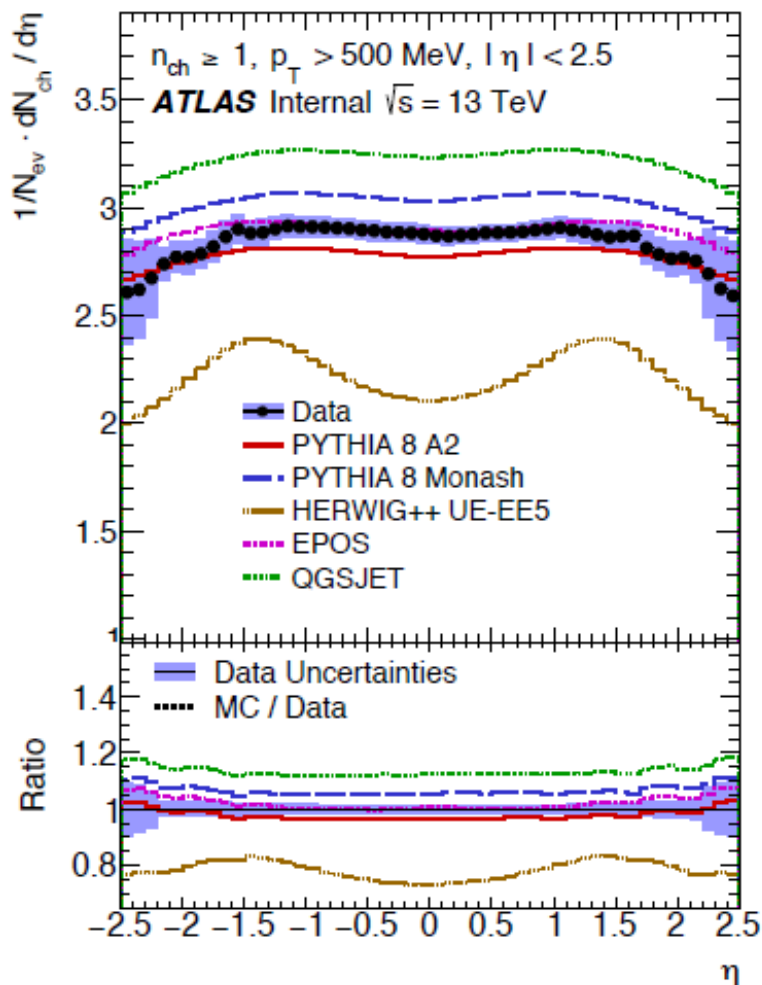
# Outlook -1-

- Soon, pp elastic measurement at 8 TeV (90m optics) :within a year
- *On going:* Some dedicated 'diffractive'-like measurements using ALFA (at higher beam intensity) instead of using LRG method (central detectors)
- New runs at 13 TeV for ALFA (nominal optics) foreseen in October: we have already discussed how this measurement is important...
- On going: new studies in  $\gamma\gamma$  interactions (at 8 TeV). In parallel, we prepare some analyses for the 13 TeV data... where the large statistic expected will be decisive in the "probing deeper" topologies...
- *Uncovered in this presentation:* photo-production of VM in PbPb collisions (on going)... for Pb, the equivalent #photons is multiplied by  $82^2$ ! Making a high intensity field... (with smaller maximal energies for photons)

# Outlook -2-

LHC/ATLAS is re-starting... sample of results using tracks in central detectors so important in all analyses!

## Feynman plateau



2-particle correlations at large multiplicities  
 $\Rightarrow$  long range correlations ( $\phi \sim 0$ )!

