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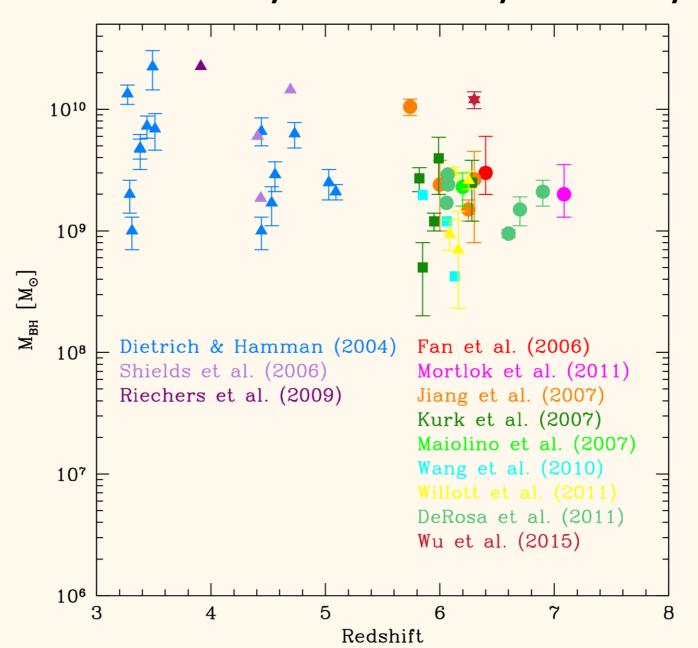
Massive Black Holes from Dissipative Dark Matter

based on GDA, Panci, Silk, Lupi, Bovino Mon.Not.Roy.Astron.Soc. 473 (2018) no.1, 328 (arXiv: 1707.03419)

Swiss Cosmo Days, 6/2/2018

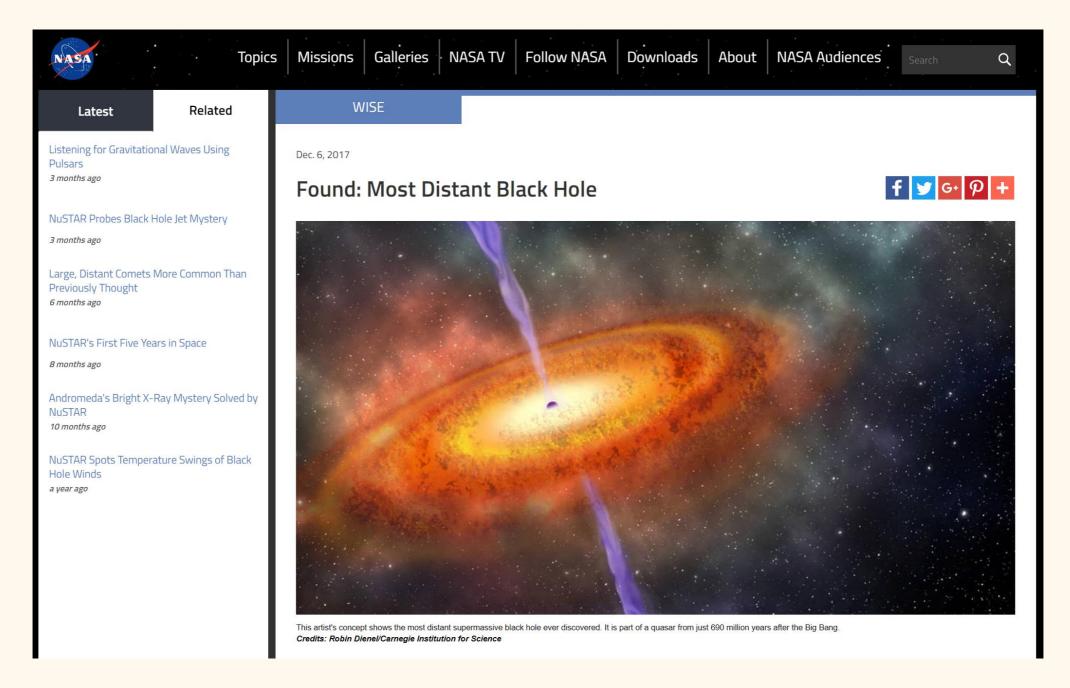
The Problem

- About 40 SMBH have been observed to date, at high-z, with masses > 10⁸ M_☉
- Question: how did they form? Why are they so big?



Valiante et al. PASA 34, 31 (2017)

Still in the news!



$$z=7.54$$
 $M=8\times10^8 M_{\odot}$ Bañados et al., Nature 553, 473

How to make them (so far)

Two main scenarios

Light seeds ($M \lesssim 10^2 M_{\odot}$)

Heavy seeds $(M \gtrsim 10^2 M_{\odot})$

- PopIII remnants
- Runaway collisions of stars
- Runaway merger of BHs

- Direct collapse of a massive gas cloud
- SuperMassive star/Quasistar

Open issues

- Sustained accretion at or above the Eddington limit
- Gas fragmentation
- Angular momentum
- Inflow rates of at least $1M_{\odot}/yr$

How to make them?

- Collapse of massive star usually gives a seed of 100 M_☉, doesn't grow fast enough
- Direct collapse black hole scenario: gives a seed ~ 10⁴
 M⊙ which then has to grow fast enough
- Usually, primordial gas cools down to ~200K via H₂, fragmenting at low densities and producing stars
- We need to suppress H₂: best model to date is through a flux of UV photons, but who gives them?

The main idea

- Production of H₂ is very delicate: a 2-step reaction, catalized by free e⁻ of which there are few around
- So, instead of destroying it, maybe we won't produce it
- Ordinary baryons in our universe just can't do this... But DM can be a lot of strange things!

$$H + (e^{-}) \rightarrow H^{-} + \gamma$$
 $H^{-} + H \rightarrow H_{2} + (e^{-})$

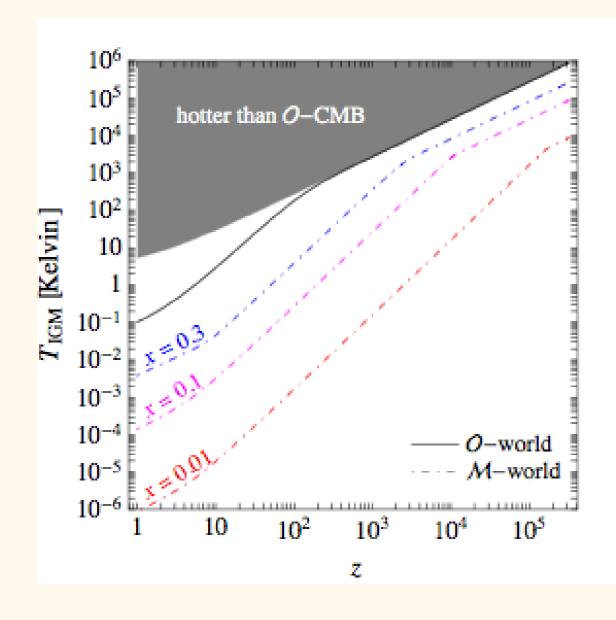
The ingredients

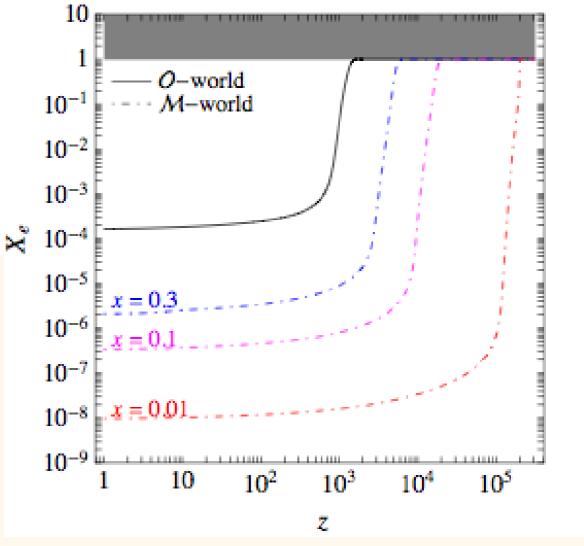
For simplicity, i.e. to avoid messing up with existing bounds and to be able to use standard chemistry, we want:

- A mirror image of the SM matter.
 - We require that recombination happens before, and the photon temperature is then $x \le 0.3$
 - We assume that mirror baryon abundance is the same as the ordinary one
- A CDM component (for instance, an axion to solve strong-CP) to create potential wells

$$x = T'_{\gamma}/T_{\gamma}$$
 $\beta = \Omega'_{\rm b}/\Omega_{\rm b}$ $\Omega_{\rm m} = \Omega_{\rm c} + \Omega'_{\rm b} + \Omega_{\rm b}$

Initial conditions for structures





Dynamics?

- First approximation: dynamics of spherical collapse
- But, before embarking into simulations, let's try to look for some averaged evolution
- This 0-d evolution is referred to one-zone collapse, and captures quite a bit of what's going on

The poor men's equations

$$\frac{\dot{T}}{T} + (\gamma - 1)\frac{\dot{\rho}_B}{\rho_B} = \frac{(\gamma - 1)}{k_B T n_B} (\mathcal{H} - \mathcal{C}) \equiv -\frac{1}{t_{\text{cool}}}$$

$$\frac{\mathrm{d}x_i}{\mathrm{d}t} = \left[\sum_{j,k} k_{jk} x_j(t) x_k(t) - \sum_j k_{ij} x_j(t) x_i(t)\right] n_B(t)$$

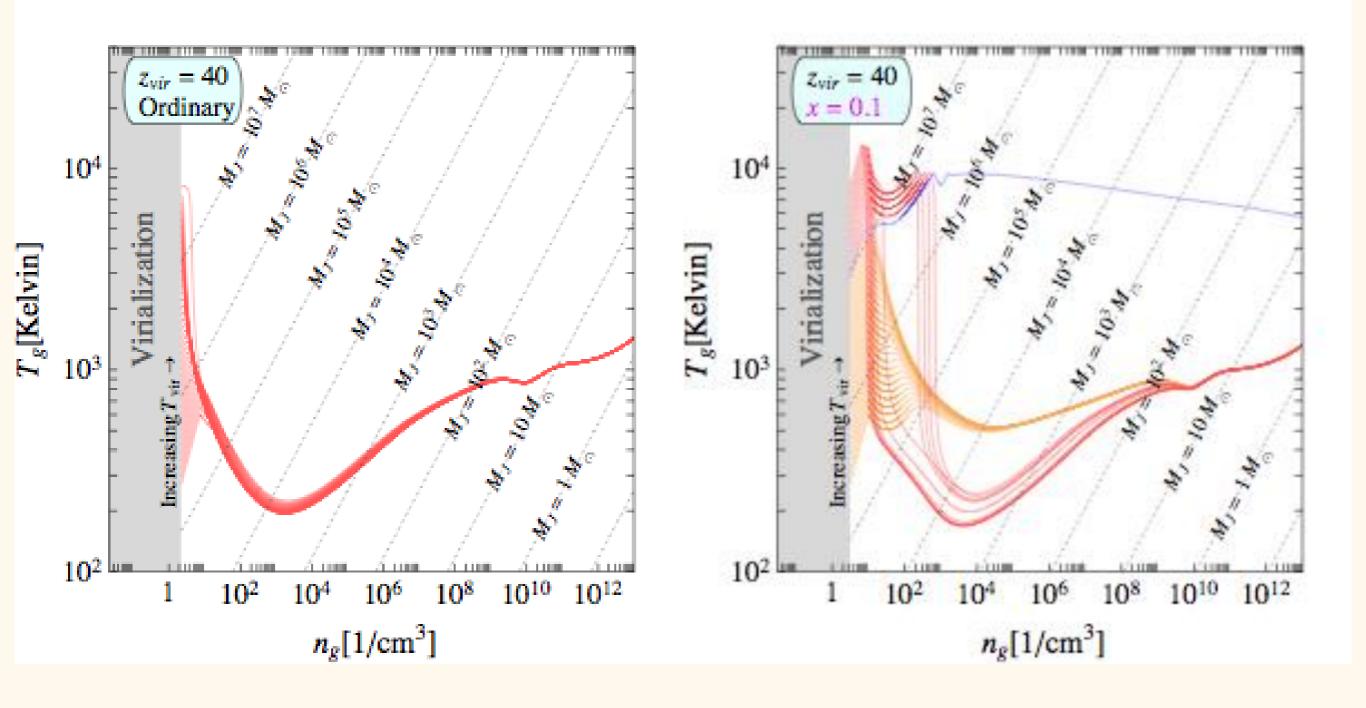
$$t_{
m s}>t_{
m ff}$$
 $t_{
m s}< t_{
m ff}$ OR $ho_B \propto T^{-1}$

The poor men's I.C.

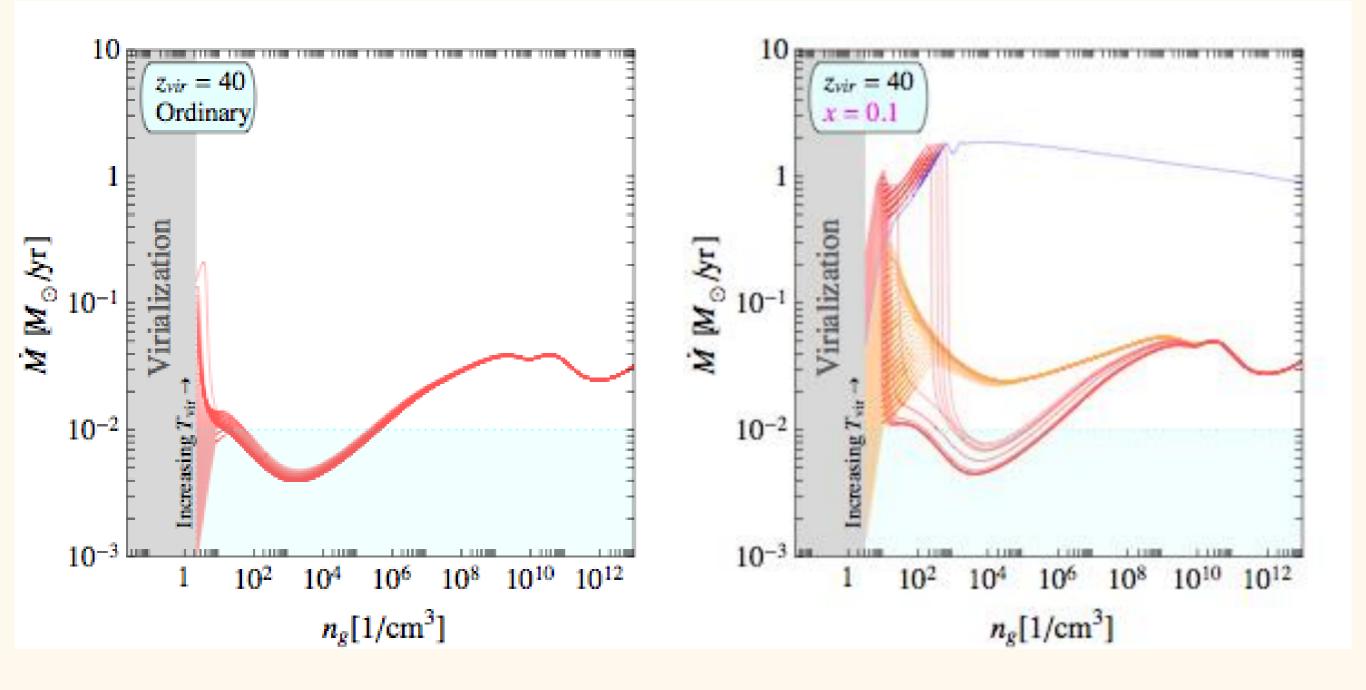
- A lot of the physics goes also into choosing the right i.c.
- A naïve possibility:
 Conditions at turnaround of a spherical perturbations
 This doesn't work, as the mirror is *insanely* cold one would get crazy densities and temperature out of nowhere
- Take into account virial shock:

At ~half the turnaround radius, baryons realize they can dissipate, and the final result is a subsonic shock, bringing the density to ~178 times bkg density, and the temperature to $(\gamma-1)$ T_{vir}

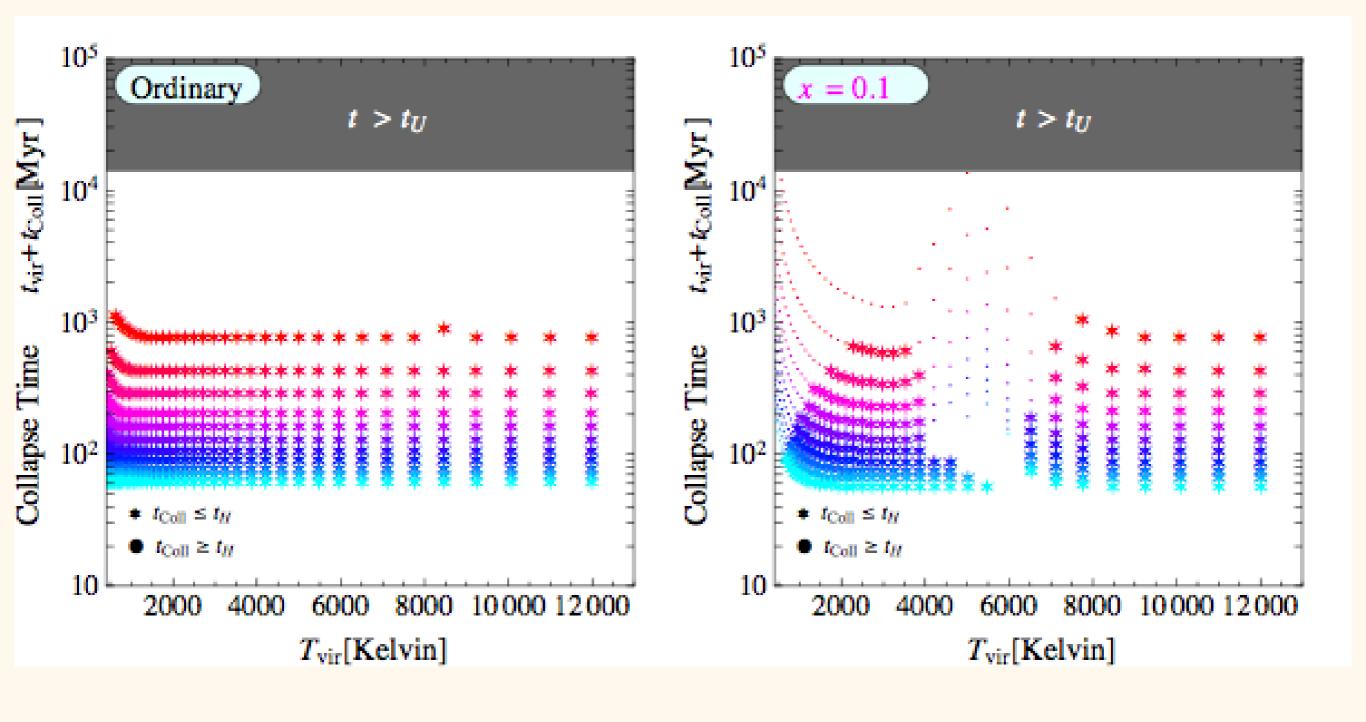
The poor men's solution: phase space



The poor men's solution: accretion



The poor men's solution: time of collapse



Growing the seeds

In first approximation, we have Salpeter growth

$$M(t) = M_0 e^{(t-t_0)/t_{\rm Sal}}$$
 $t_{\rm Sal} = \frac{\epsilon M c^2}{(1-\epsilon)L} \simeq 400 {
m Myr} \, \frac{\epsilon}{1-\epsilon} \frac{L_{\rm Edd}}{L}$

- Age of the Universe at z=7 is 771Myr, no time to grow a stellar mass seed
- Need long times at maximum accretion to grow a $^{\sim}$ 10 8 M $_{\odot}$ seed in ordinary scenario
- However, we have 2 independent matter sectors: timescale in the exponential is typically halved!

Redshift vs Time

$$z = 0$$
 | $t = 13721$ Myr

$$z = 0.1$$
 | $t = 12411$ Myr

$$z = 0.5$$
 | $t = 8628$ Myr

$$z = 1$$
 | $t = 5903$ Myr

$$z = 3$$
 | $t = 2171 \text{ Myr}$

$$z = 7$$
 | $t = 771$ Myr

$$z = 10$$
 | $t = 478$ Myr

$$z = 20$$
 | $t = 180$ Myr

$$z = 30$$
 | $t = 100 \text{ Myr}$

$$z = 40$$
 | $t = 65.65$ Myr

$$z = 50$$
 | $t = 47.15$ Myr

$$z = 100$$
 | $t = 16.63$ Myr

$$z = 1100$$
 | $t = 0.37$ Myr

What does this all mean?

- Averaged results are very encouraging
- Phase space behavior and dM/dt are nice symptoms of a runaway direct collapse to black holes
- Accretion is larger than in ordinary sector, so we do expect IMBH seeds to grow into the observed SMBH

Where do we go from here?

- Interesting particle physics models: not necessary to have full mirror sector, for instance dark hydrogen with large binding energy
- Definitely the scenario is worth investigating with full cosmological simulations
- Qualitative predictions:
 stellar dynamics
 bullet clusters mass distribution
 microlensing
 GW probes from mergers (LISA)
 (killing of dinosaurs)

Thank you!