

Review of TOTEM Results



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on behalf of the TOTEM Collaboration



WE-Heraeus-Summerschool

Diffraction and electromagnetic processes
at high energies

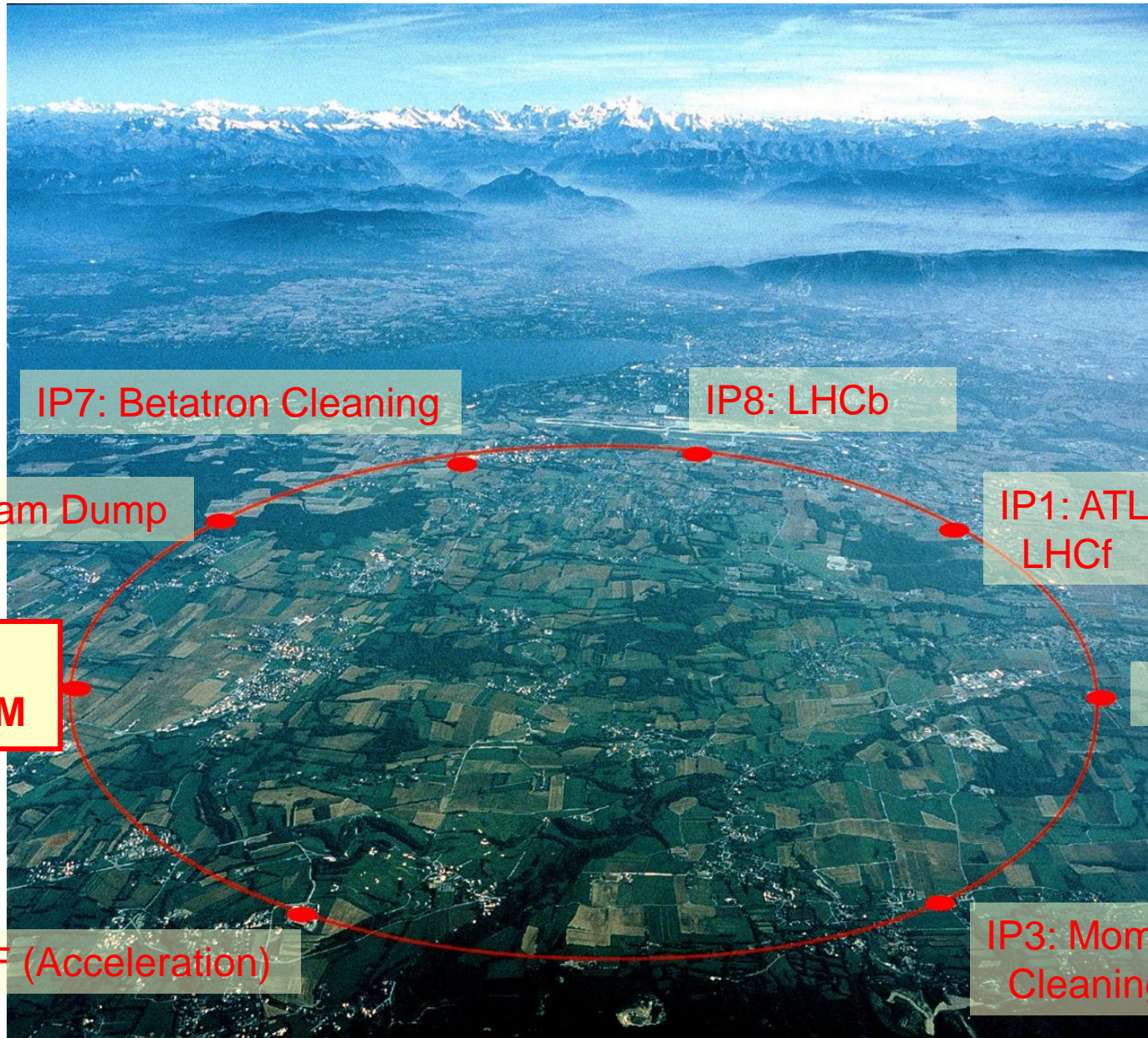
Heidelberg, September 2 - 6, 2013





1. The TOTEM Experiment at the LHC:
Physics objectives and detector apparatus
2. Results:
 - a. Elastic pp Scattering
 - b. Inelastic and Total Cross-Sections
 - c. Diffraction
 - d. Forward particle production: pseudorapidity distribution
3. Consolidation and Upgrade Plans

The TOTEM Experiment at the LHC



IP7: Betatron Cleaning

IP8: LHCb

IP6: Beam Dump

IP1: ATLAS,
LHCf

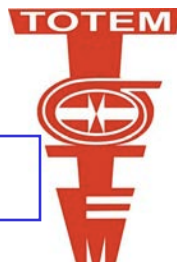
**IP5: CMS,
TOTEM**

IP2: ALICE

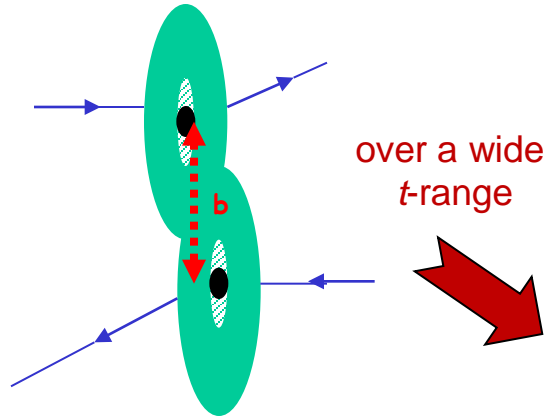
IP4: RF (Acceleration)

IP3: Momentum
Cleaning

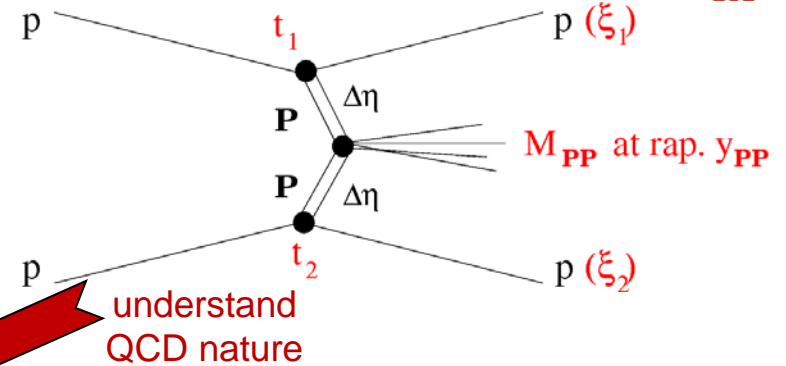
TOTEM Physics Overview



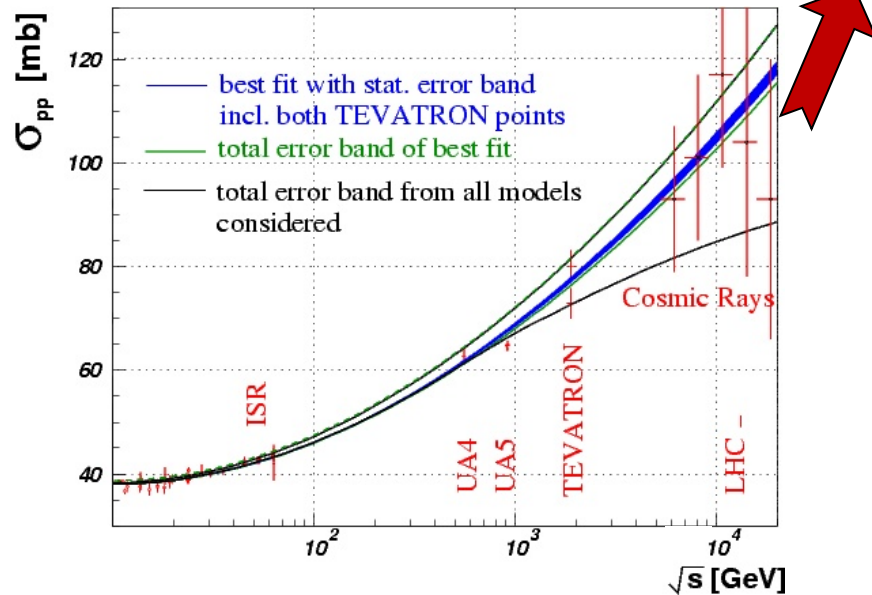
Elastic pp scattering



Diffraction: soft and hard

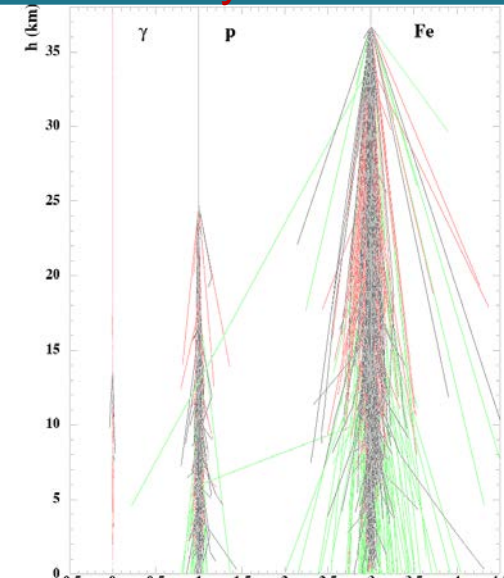


Total pp cross-section



Forward particle production

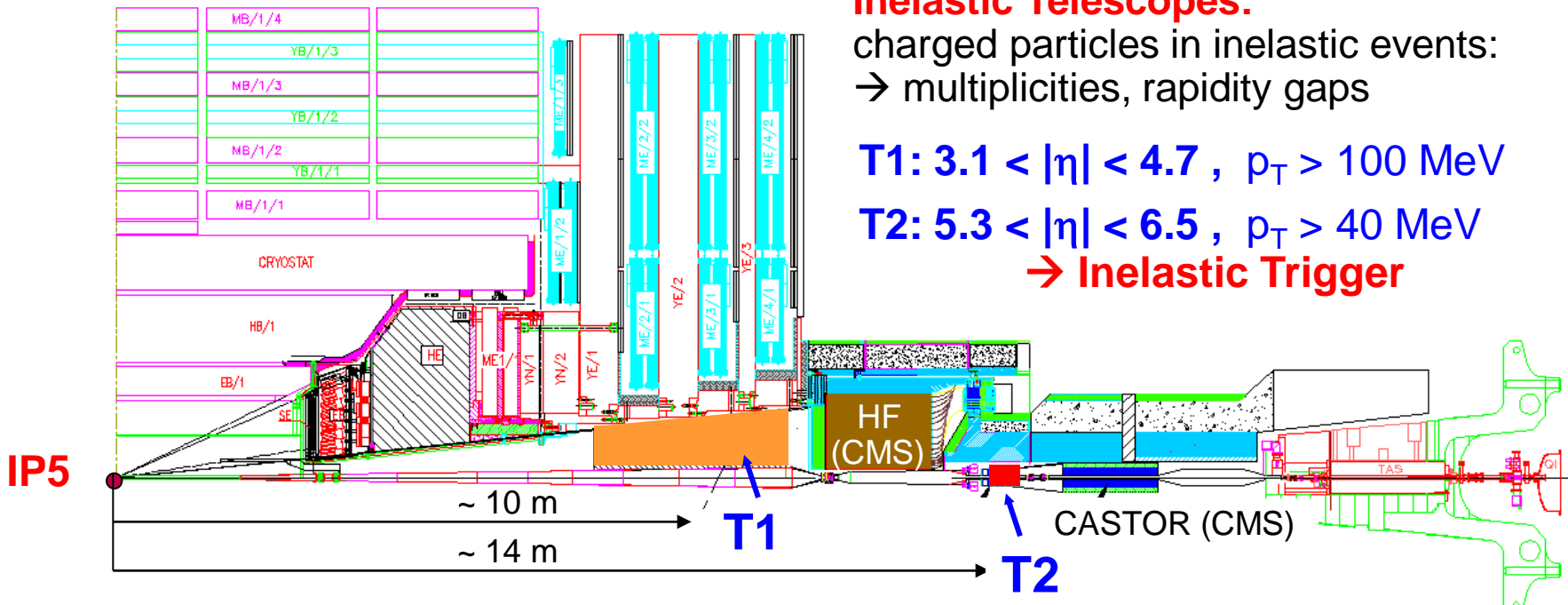
→ cosmic ray connection



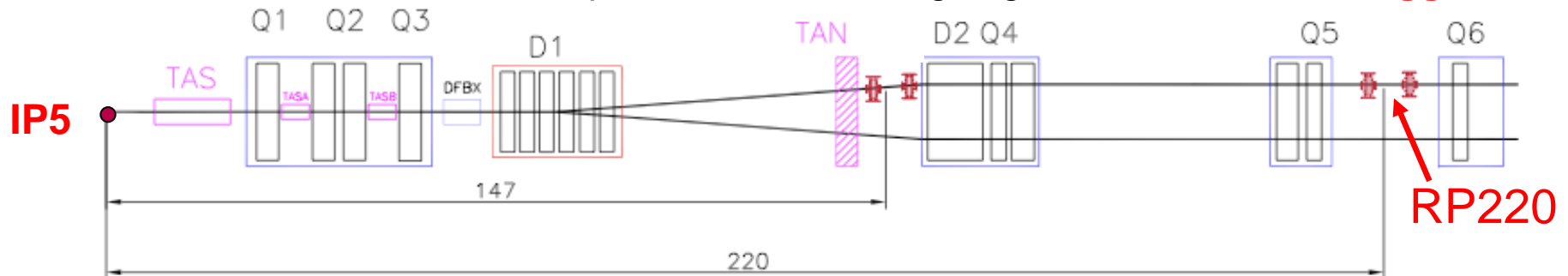
Experimental Setup at IP5



[Ref.: JINST 3 (2008) S08007]



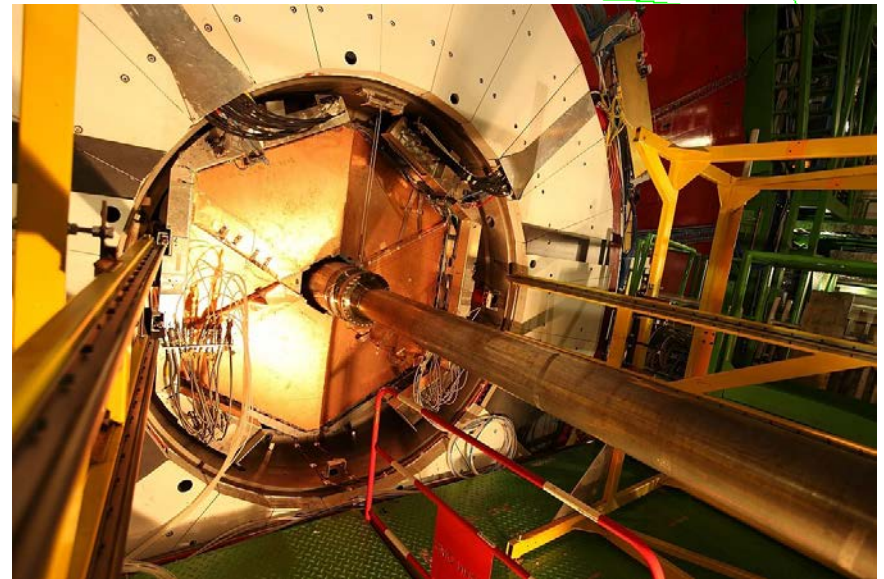
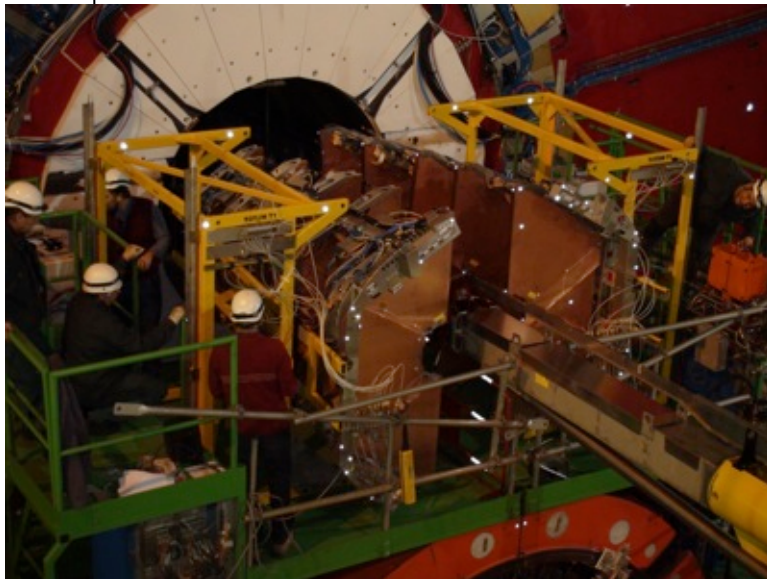
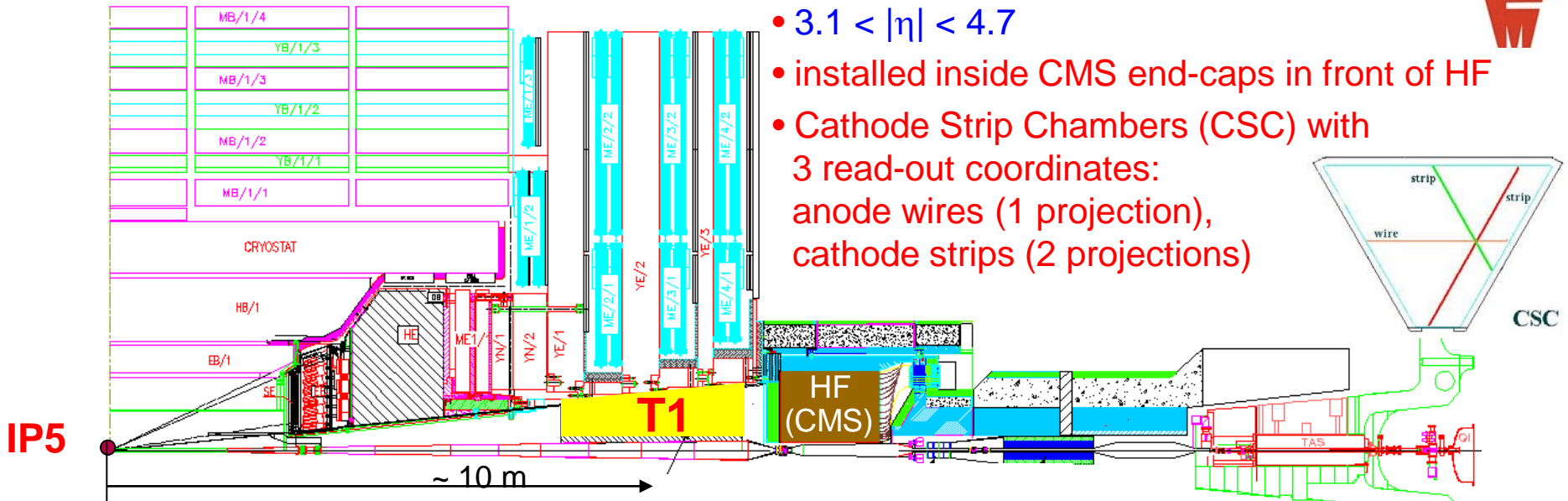
Roman Pots: elastic & diffractive protons close to outgoing beams → **Proton Trigger**



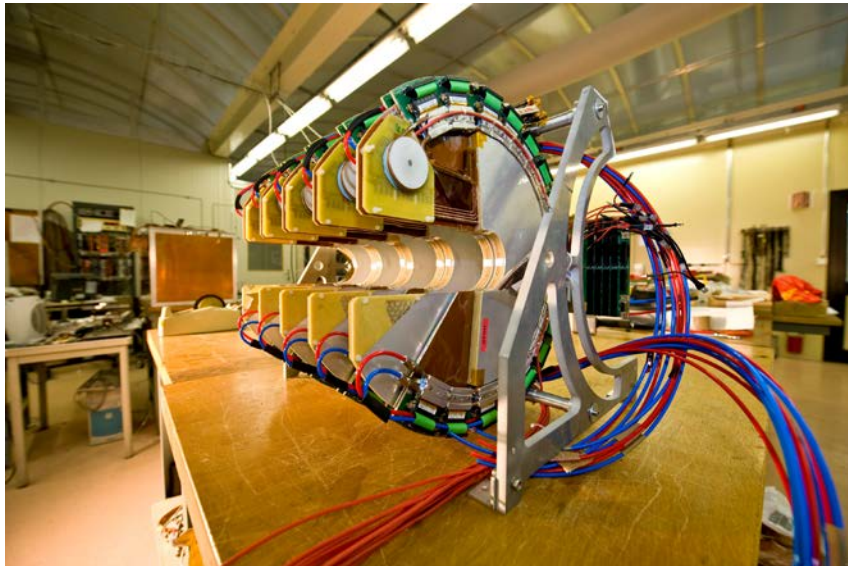
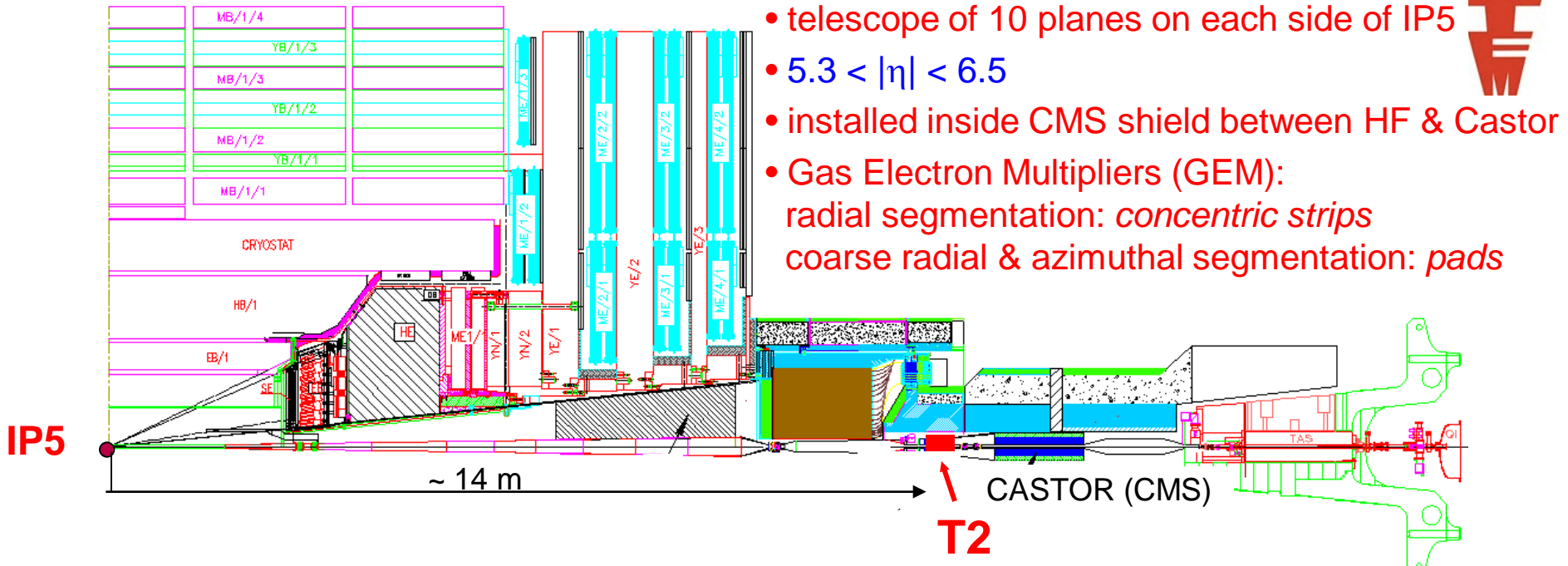
Experimental Setup: T1



- telescope of 5 planes on each side of IP5
- $3.1 < |\eta| < 4.7$
- installed inside CMS end-caps in front of HF
- Cathode Strip Chambers (CSC) with 3 read-out coordinates:
 anode wires (1 projection),
 cathode strips (2 projections)



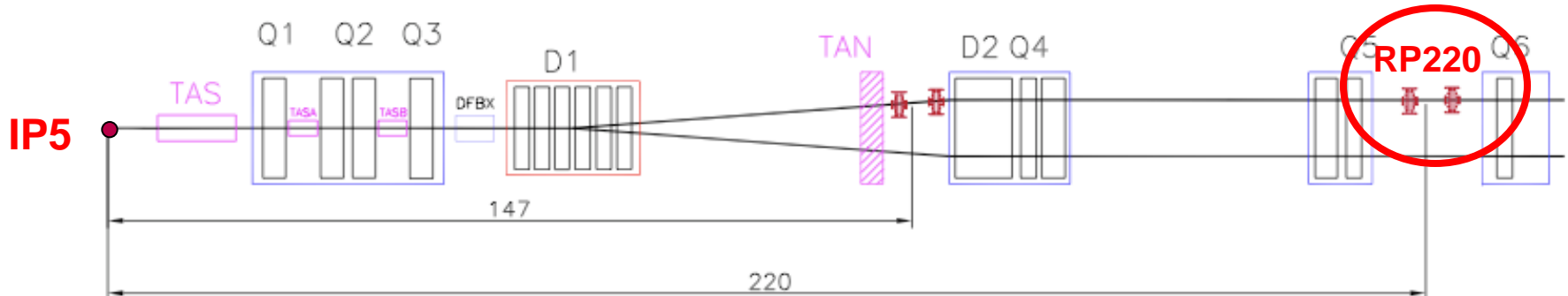
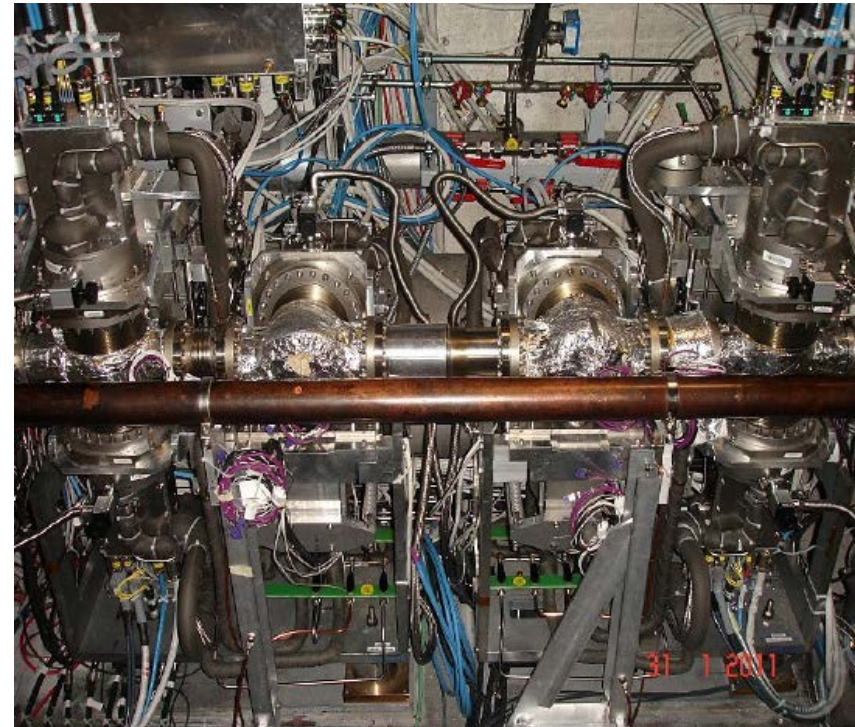
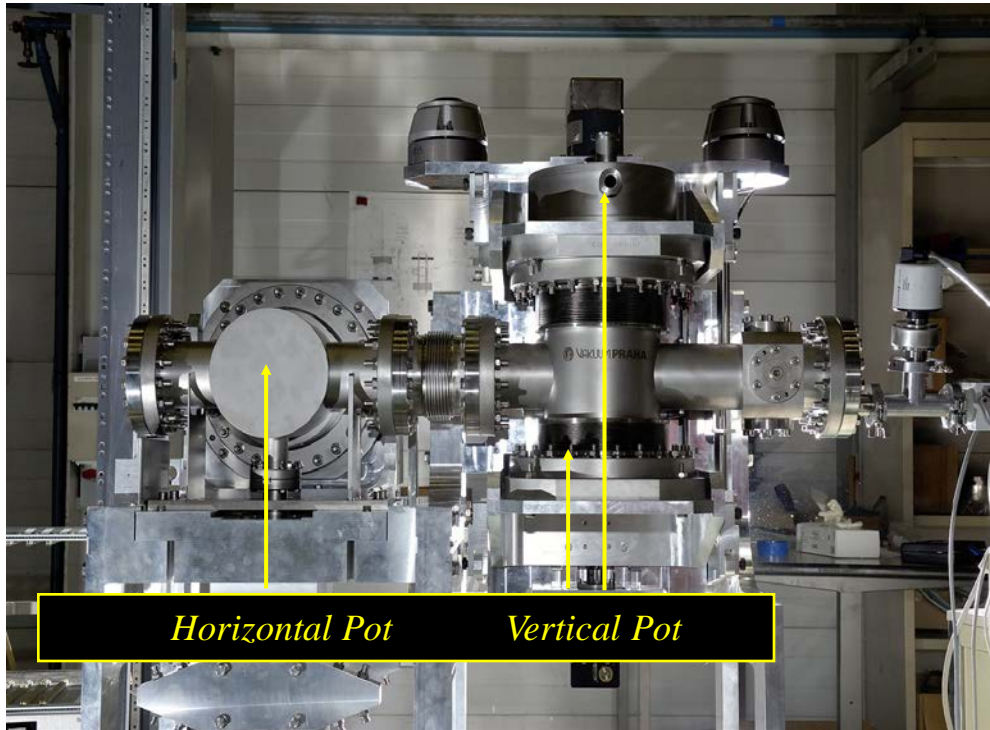
Experimental Setup: T2



Roman Pots



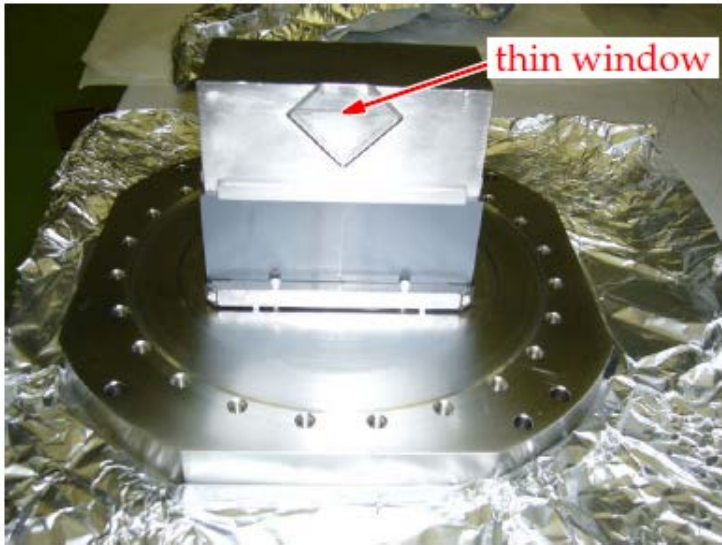
Roman Pot = movable box inside the beam pipe, housing silicon detectors.
Detectors can approach the beam centre to $< 1\text{mm}$ when the beams are stable.



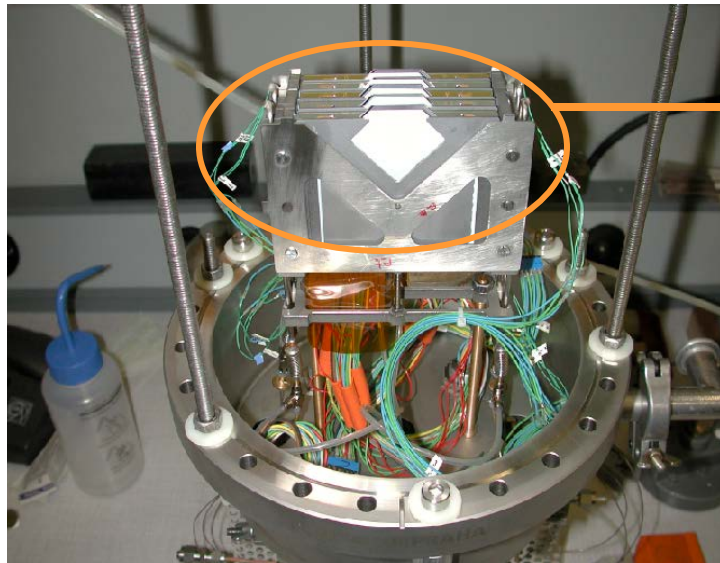
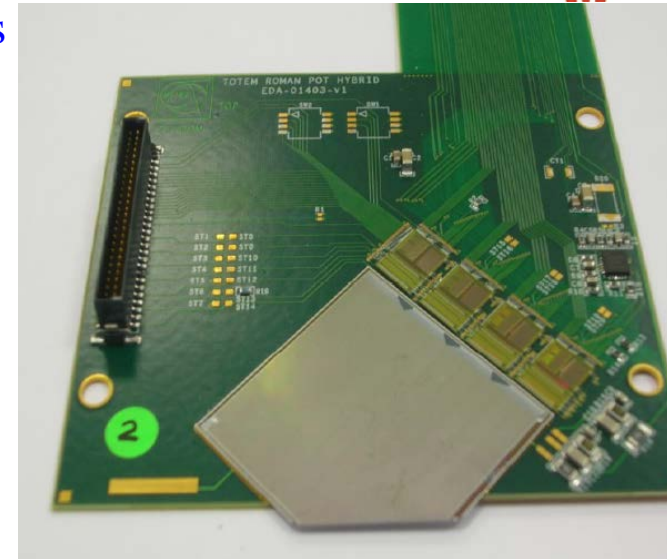
Roman Pot Detector Packages



Detector housing

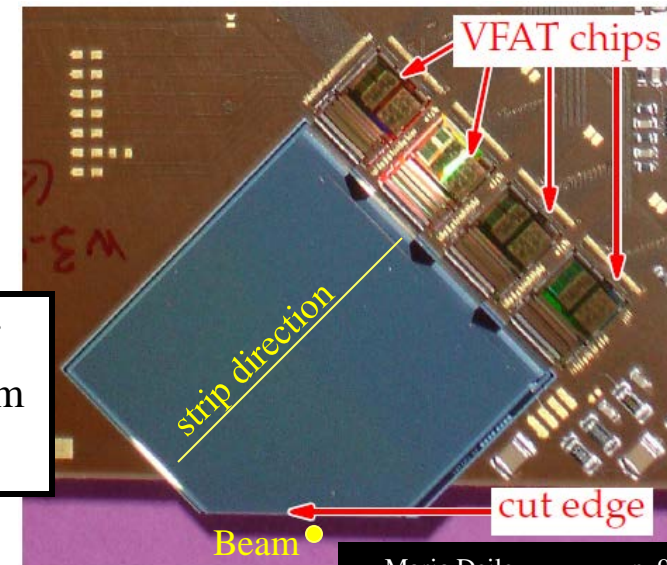


Hybrid board with silicon detector and read-out chips

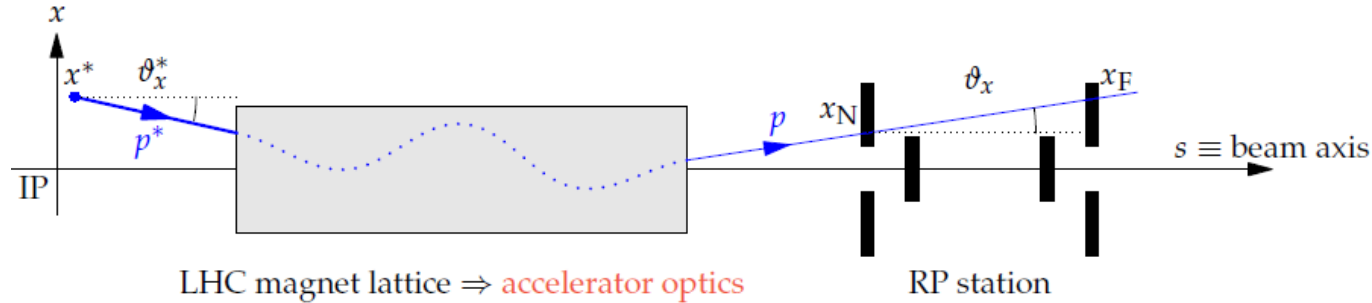


Stack of 10 silicon strip detectors
(5 pairs back to back)

“edgeless” silicon sensor
(full efficiency at $\sim 50 \mu\text{m}$
from cut edge)



Proton Transport and Reconstruction via Beam Optics



LHC magnet lattice \Rightarrow accelerator optics

RP station

(x^*, y^*) : vertex position

(θ_x^*, θ_y^*) : emission angle: $t \approx -p^2 (\theta_x^{*2} + \theta_y^{*2})$

$\xi = \Delta p/p$: momentum loss (elastic case: $\xi = 0$)

Measured in RP

$$\begin{pmatrix} x \\ \Theta_x \\ y \\ \Theta_y \\ \Delta p/p \end{pmatrix}_{\text{RP}} = \underbrace{\begin{pmatrix} v_x & L_x & 0 & 0 & D_x \\ v'_x & L'_x & 0 & 0 & D'_x \\ 0 & 0 & v_y & L_y & 0 \\ 0 & 0 & v'_y & L'_y & 0 \\ 0 & 0 & 0 & 0 & 1 \end{pmatrix}}_{\text{Product of all lattice element matrices}} \begin{pmatrix} x^* \\ \Theta_x^* \\ y^* \\ \Theta_y^* \\ \Delta p/p \end{pmatrix}_{\text{IP5}}$$

Values at IP5 to be reconstructed

Product of all lattice element matrices

$$x_{RP} = L_x \Theta_x^* + v_x x^* + D_x \xi$$

$$y_{RP} = L_y \Theta_y^* + v_y y^*$$

L_x, L_y : effective lengths (sensitivity to scattering angle)

v_x, v_y : magnifications (sensitivity to vertex position)

D_x : dispersion (sensitivity to momentum loss); $D_y \sim 0$

Reconstruction of proton kinematics = inversion of transport equation

Transport matrix elements depend on $\xi \rightarrow$ non-linear problem (except in elastic case!)

Excellent optics understanding needed.

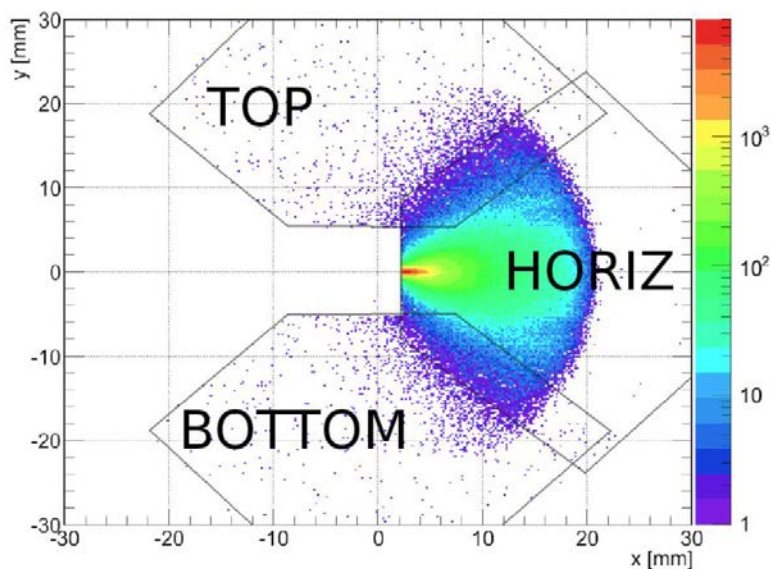
Different LHC Optics



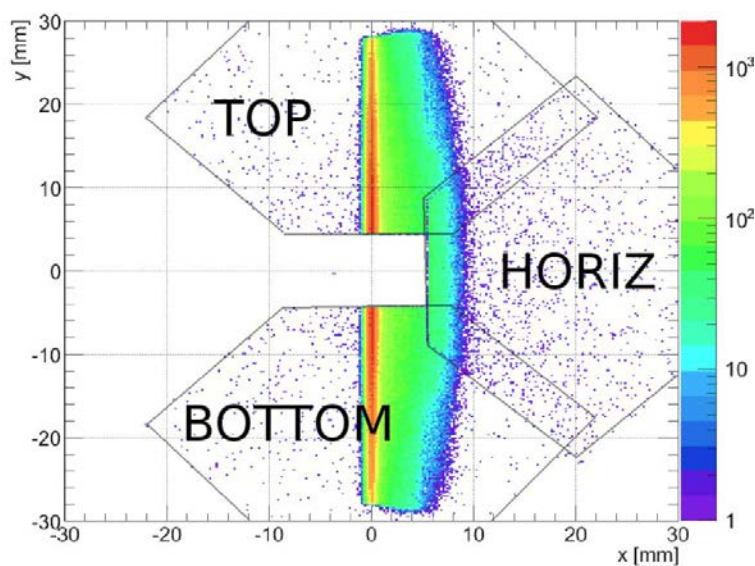
Hit maps of simulated diffractive events for 2 optics configurations
(labelled by β^* = betatron function at the interaction point)

$\beta^* = 0.55$ m (low β^* = standard at LHC)

$\beta^* = 90$ m (special development for RP runs)



$L_x = 1.7$ m, $L_y = 14$ m, $D_x = 8$ cm
diffractive protons: mainly in **horizontal RP**
elastic protons: in vertical RP near $x \sim 0$
sensitivity only for large scattering angles



$L_x = 0$, $L_y = 260$ m, $v_y = 0$, $D_x = 4$ cm
diffractive protons: mainly in **vertical RP**
elastic protons: in narrow band at $x \cong 0$,
sensitivity for small vertical scattering angles

	Beam width @ vertex	Angular beam divergence	Min. reachable $ t $
$\beta^* \sim 0.5-3.5$ m	$\sigma_{x,y}^* = \sqrt{\frac{\varepsilon_n \beta^*}{\gamma}}$ small	$\sigma(\Theta_{x,y}^*) = \sqrt{\frac{\varepsilon_n}{\beta^* \gamma}}$ large	$ t_{\min} = \frac{n_\sigma^2 p \varepsilon_n m_p}{\beta^*} \sim 0.3-1 \text{ GeV}^2$
$\beta^* = 90$ m	large	small	$\sim 10^{-2} \text{ GeV}^2$

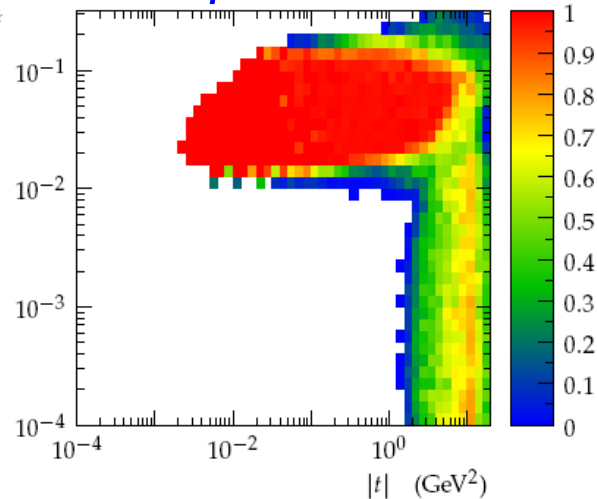
LHC Optics and TOTEM Running Scenario



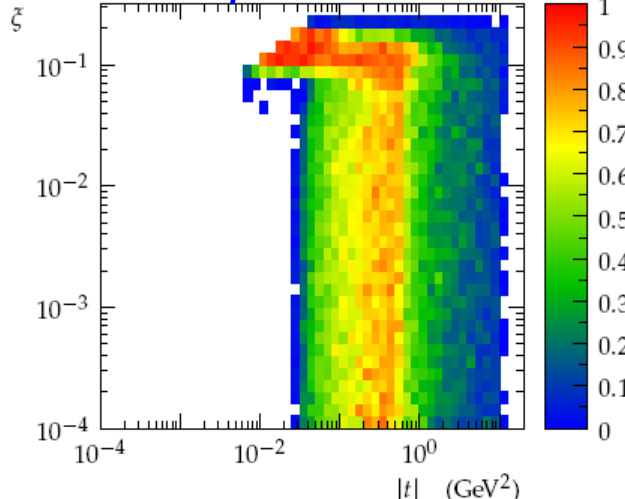
Acceptance for diffractive protons:

$t \approx -p^2 \Theta^{*2}$: four-momentum transfer squared; $\xi = \Delta p/p$: fractional momentum loss

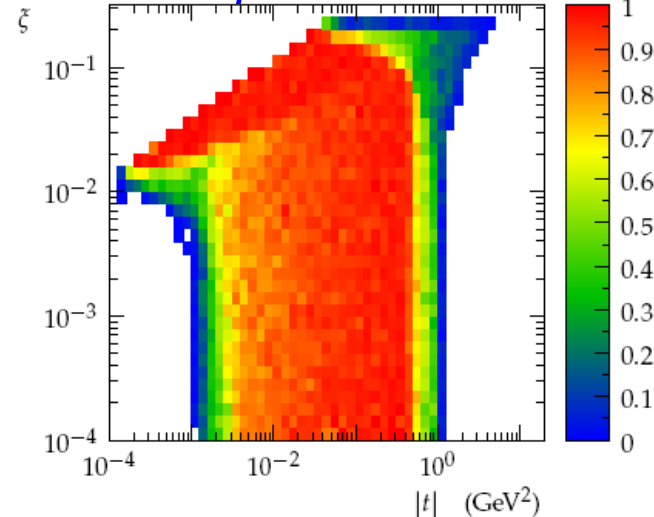
$\beta^* = 0.55 \text{ m}$



$\beta^* = 90 \text{ m}$



$\beta^* = 1000 \text{ m}$



$> 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$

$$\mathcal{L} \propto \frac{1}{\beta^*}$$

$\sim 10^{27} \text{ cm}^{-2} \text{ s}^{-1}$

Diffraction:

$\xi > \sim 0.01$

low cross-section processes
(hard diffraction)

Elastic scattering: large $|t|$

Diffraction:

all ξ if $|t| > \sim 10^{-2} \text{ GeV}^2$

Elastic scattering: low to mid $|t|$

Total Cross-Section

Elastic scattering: very low $|t|$

Coulomb-Nuclear Interference

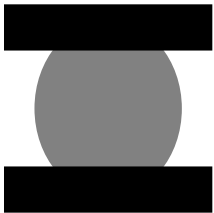
Total Cross-Section

Beam-Based Roman Pot Alignment (Scraping)

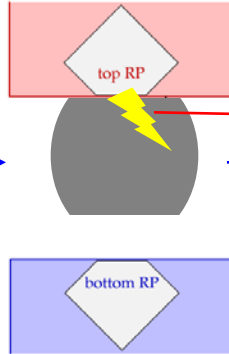
Standard Procedure for LHC Collimators



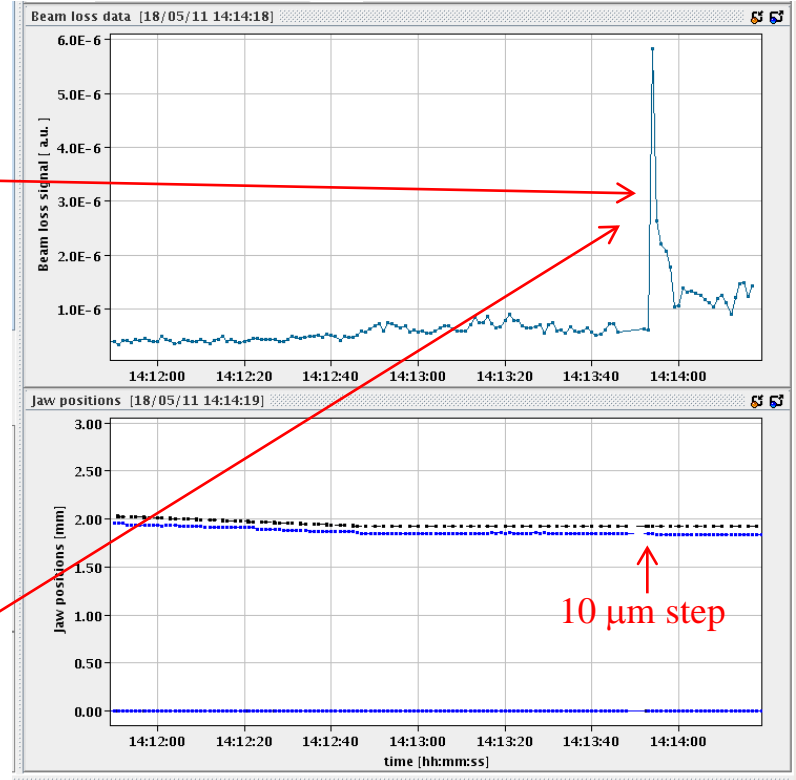
A primary collimator cuts a sharp edge into the beam, symmetrical to the centre



The top RP approaches the beam until it touches the edge



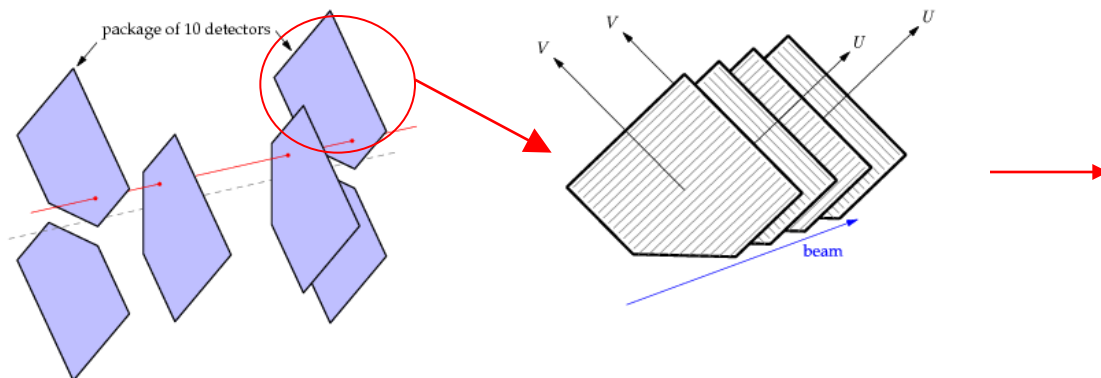
The last 10 μm step produces a spike in a **Beam Loss Monitor** downstream of the RP



When both top and bottom pots are touching the beam edge:

- they are at the same number of sigmas from the beam centre as the collimator
 - the beam centre is exactly in the middle between top and bottom pot
- Alignment of the RP windows relative to the beam ($\sim 20 \mu\text{m}$)

Track-Based Alignment

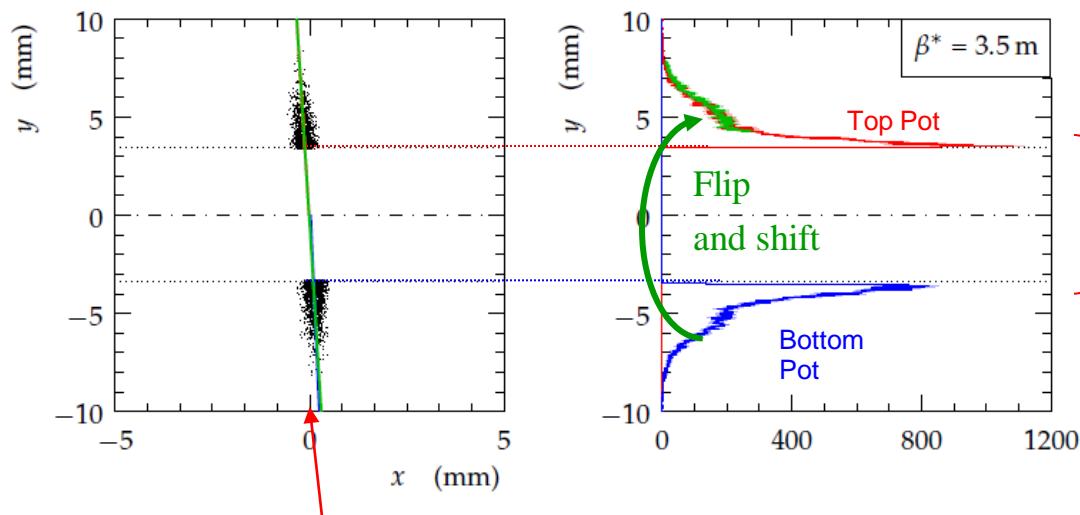


Residual-based alignment technique:
shifts and rotations within a RP unit

Important: overlap between horizontal and vertical detectors !

Alignment Exploiting Symmetries of Hit Profiles

Map of all track intercepts after elastic selection



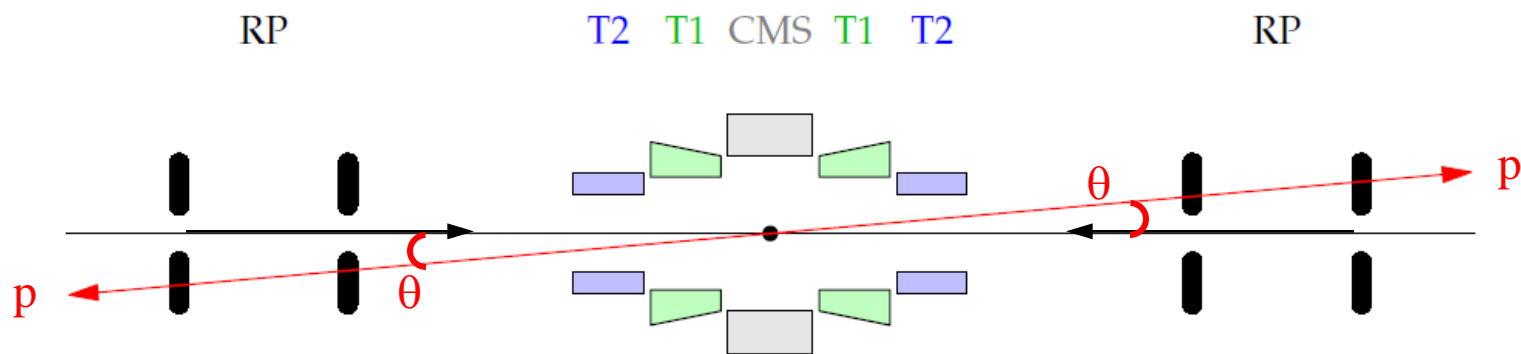
Fine vertical alignment:
about 20 μ m precision

→ Fine horizontal alignment: precision better than 10 μ m

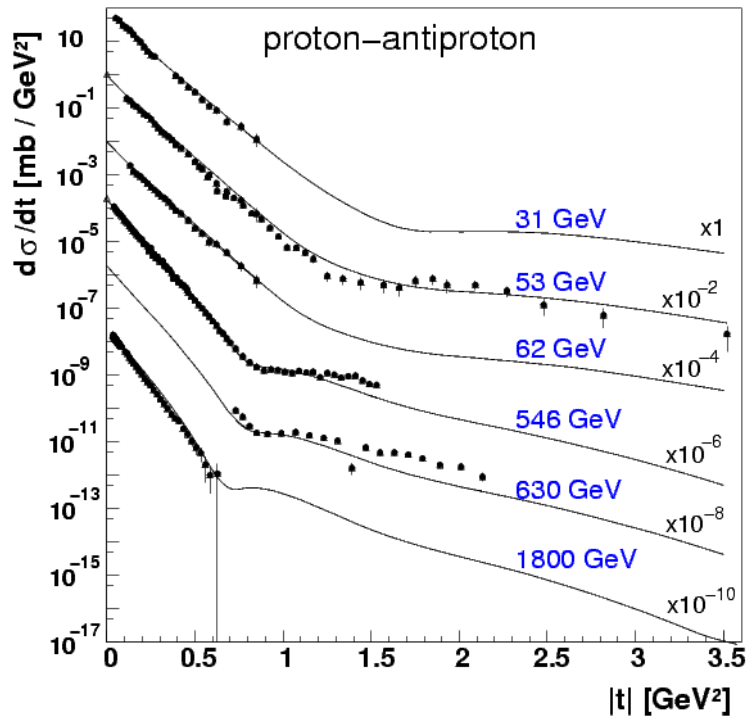
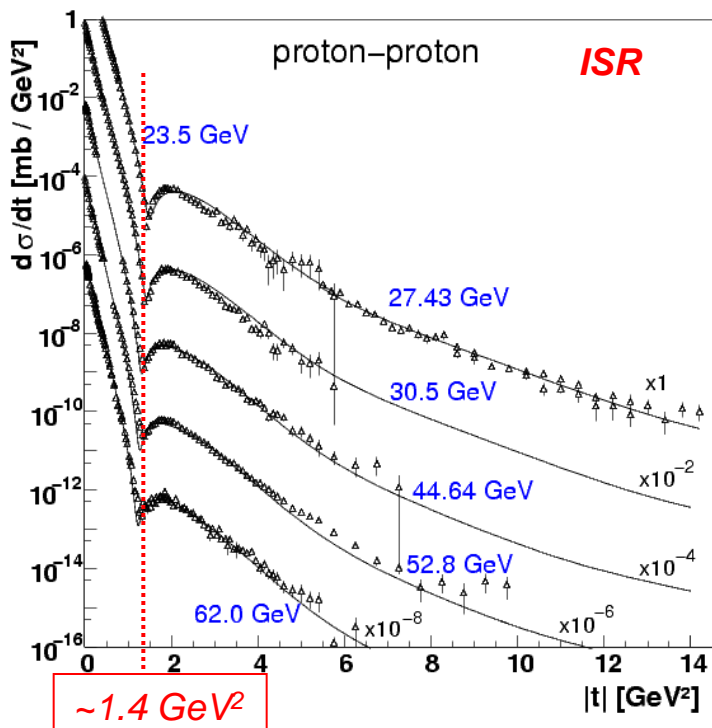
pp Elastic Scattering

7 TeV

8 TeV

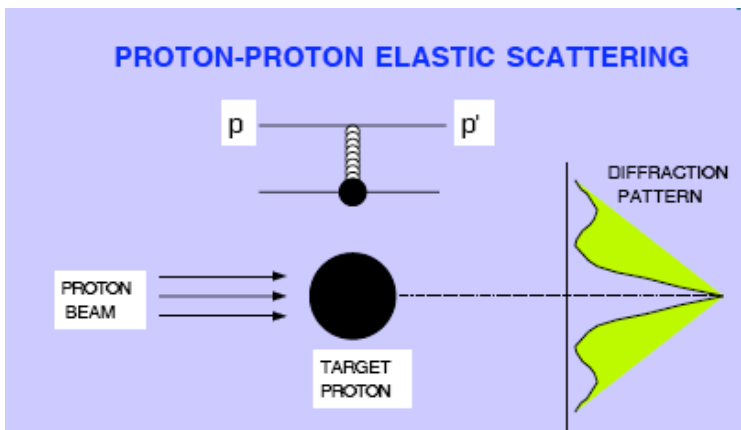


Elastic scattering – from ISR to Tevatron



$|t| \approx p^2 \vartheta$

Diffractive minimum: analogous to Fraunhofer diffraction:

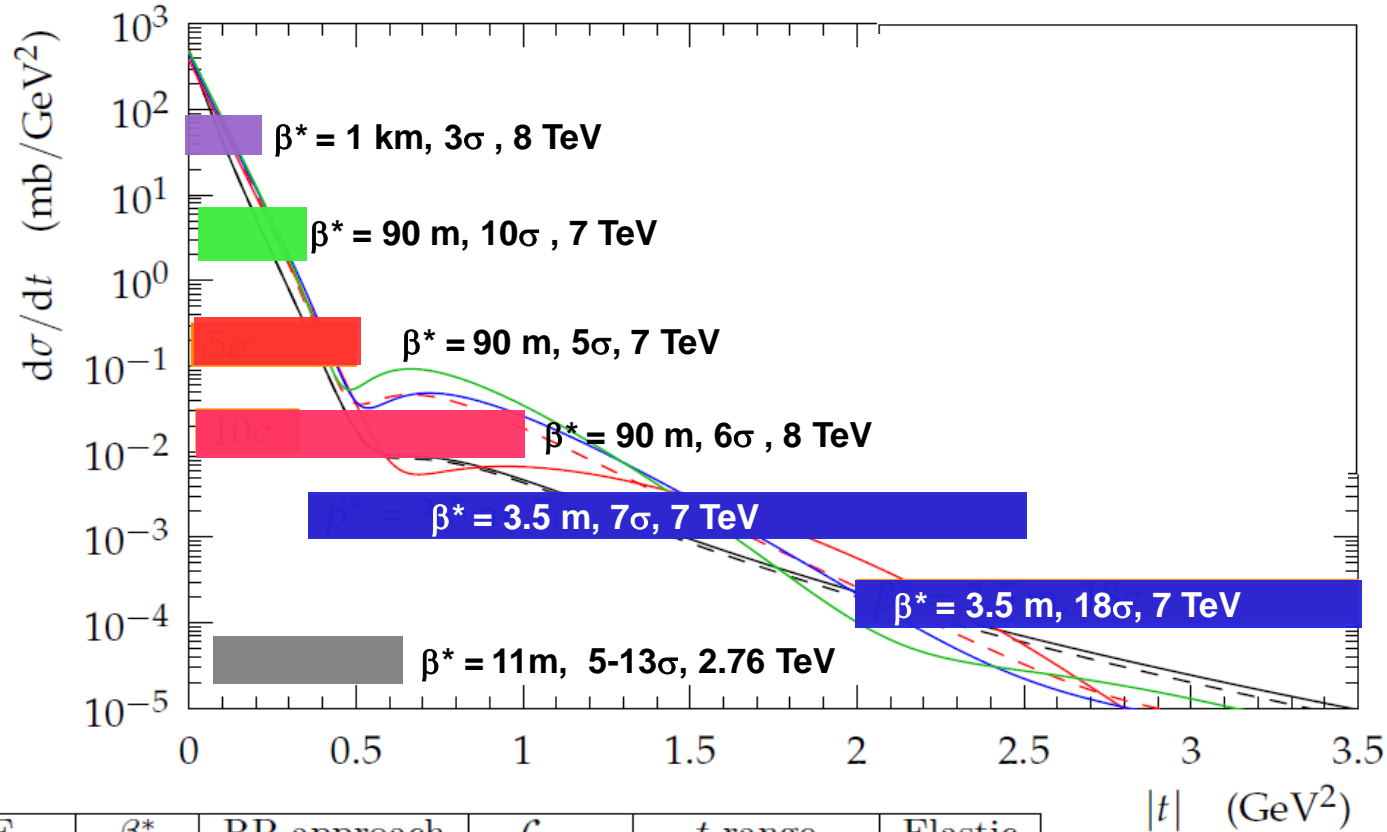


- exponential slope B at low $|t|$ increases
- minimum or shoulder moves to lower $|t|$ with increasing s
 → interaction region grows (as also seen from σ_{tot})
- depth of minimum changes
 → shape of proton profile changes
- depth of minimum differs between pp , $p\bar{p}$
 → different mix of processes

Elastic Scattering: Data Collection



Several data sets at different conditions to measure wide range and very low $|t|$

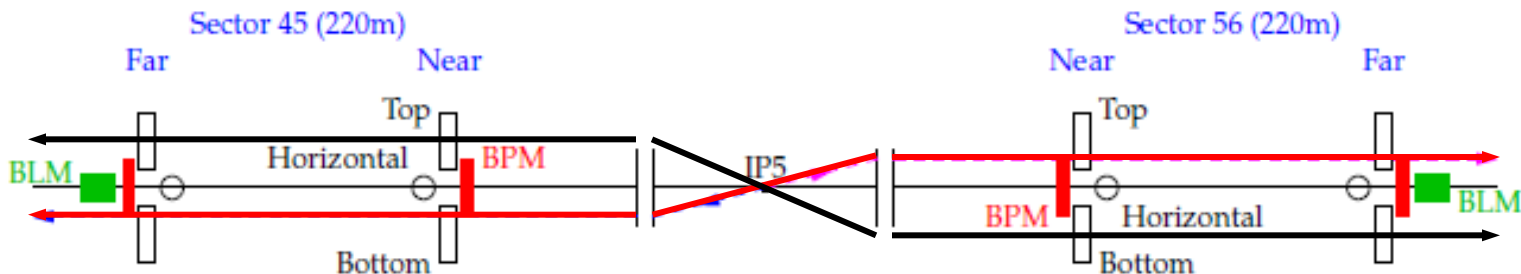


E (TeV)	β^* (m)	RP approach	\mathcal{L}_{int} (μb^{-1})	t range (GeV^2)	Elastic events
7	90	$4.8-6.5\sigma$	83	$7 \cdot 10^{-3} - 0.5$	1M
	90	10σ	1.7	0.02 - 0.4	14k
	3.5	7σ	0.07	0.36 - 3	66k
	3.5	18σ	2.3	2 - 3.5	10k
8	90	$6-9\sigma$	60	0.01 - 1	0.6M
	1000	3σ	20	$6 \cdot 10^{-4} - 0.2$	0.4M
2.76	11	$5-13\sigma$		0.05-0.6	45k

[EPL 101 (2013) 21002]
 [EPL 96 (2011) 21002]
 [EPL 95 (2011) 41001]

Elastic pp Scattering: Event Topology and Hit Maps

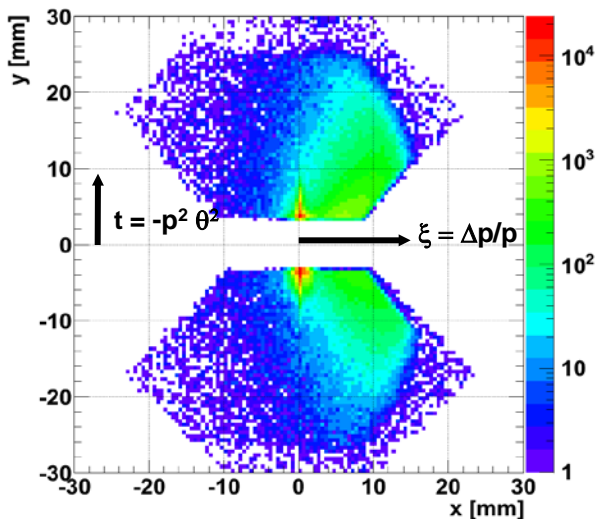
Two diagonals analysed independently



Hit Maps of a single diagonal (left-right coincidences)

$\beta^*=3.5\text{m}$

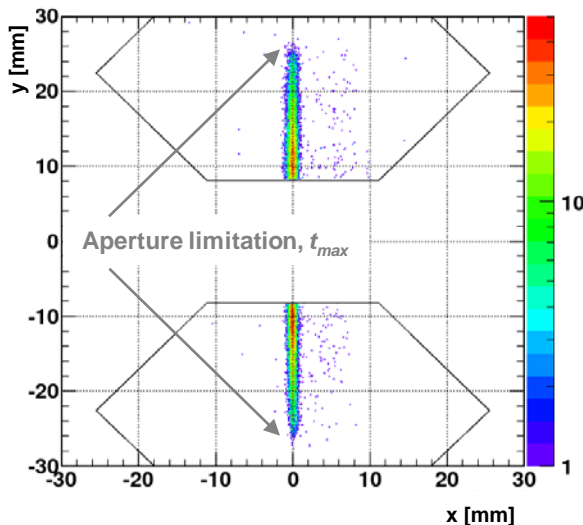
RP @ 7σ



7×10^{10} protons per bunch
Inelastic pile-up ~ 0.8 ev. / bx

$\beta^*=90\text{m}$

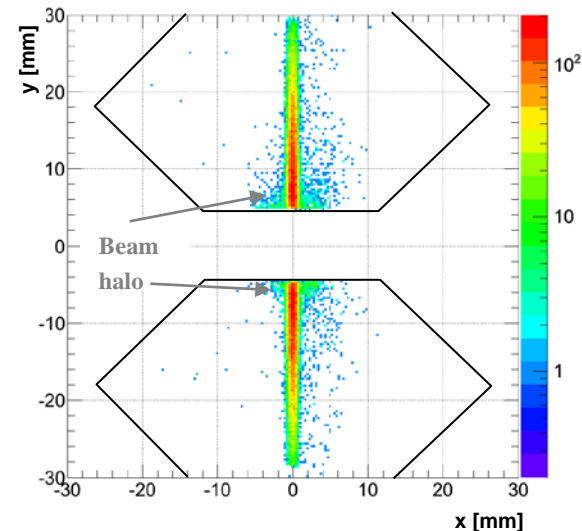
RP @ 10σ



1.5×10^{10} protons per bunch
Inelastic pile-up ~ 0.005 ev. / bx

$\beta^*=90\text{m}$

RP @ 5σ



6×10^{10} protons per bunch
Inelastic pile-up ~ 0.03 ev. / bx

Sector 56
Sector 45

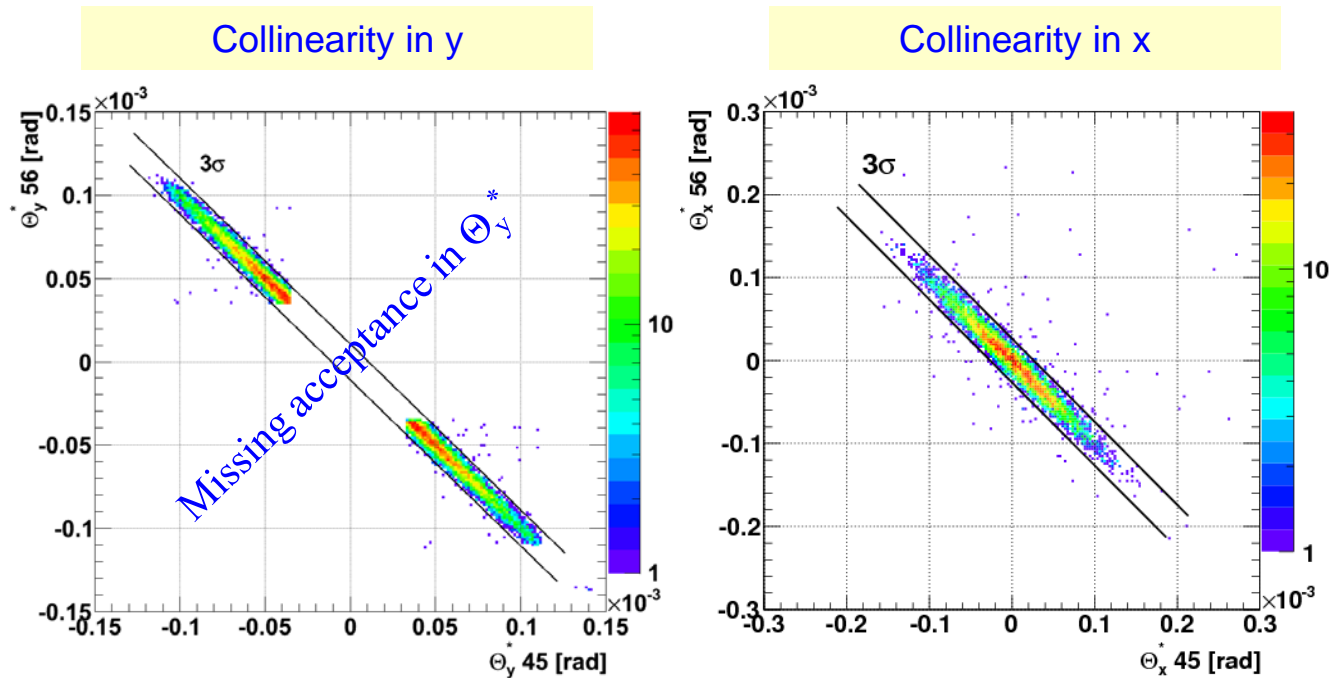
Elastic Tagging



Selection cuts:

number	cut	RMS	
diagonal	track reconstructed in all 4 diagonal RPs		
1	$\theta_x^{*R} - \theta_x^{*L}$	$9.2 \mu\text{rad}$	} collinearity
2	$\theta_y^{*R} - \theta_y^{*L}$	$3.5 \mu\text{rad}$	
3	$ x^{*R} $	$200 \mu\text{m}$	} low $ \xi $
4	$ x^{*L} $	$200 \mu\text{m}$	
5	$\alpha y^{R,N} - (y^{R,F} - y^{R,N})$	$17 \mu\text{m}$	} common vertex for both protons
6	$\alpha y^{L,N} - (y^{L,F} - y^{L,N})$	$17 \mu\text{m}$	
7	$x^{*R} - x^{*L}$	$9 \mu\text{m}$	

Example: elastic collinearity : Scattering angle on one side versus the opposite side

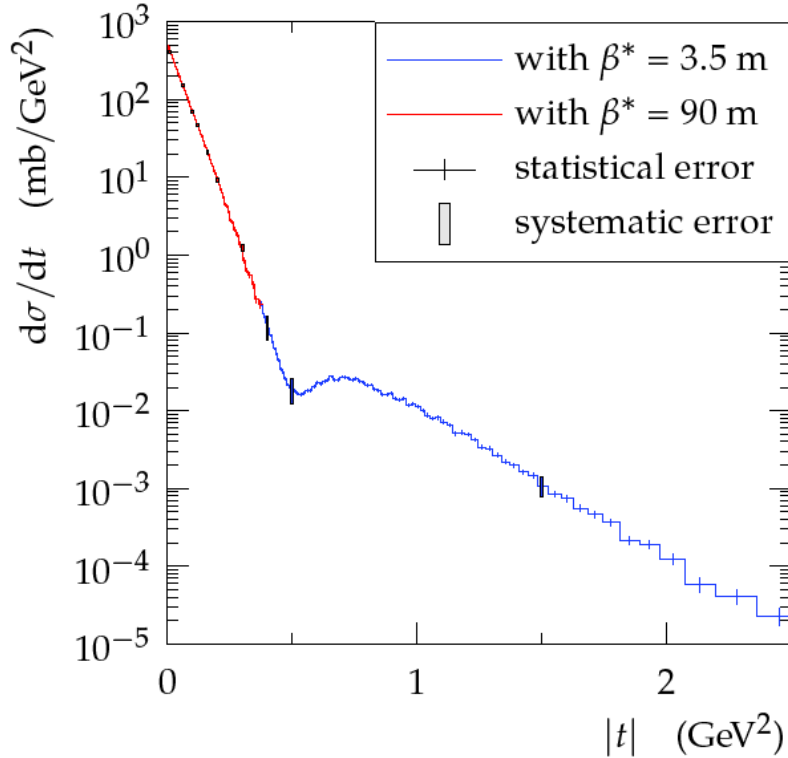


Width of correlation band in agreement with beam divergence ($\sim 2.4 \mu\text{rad}$)

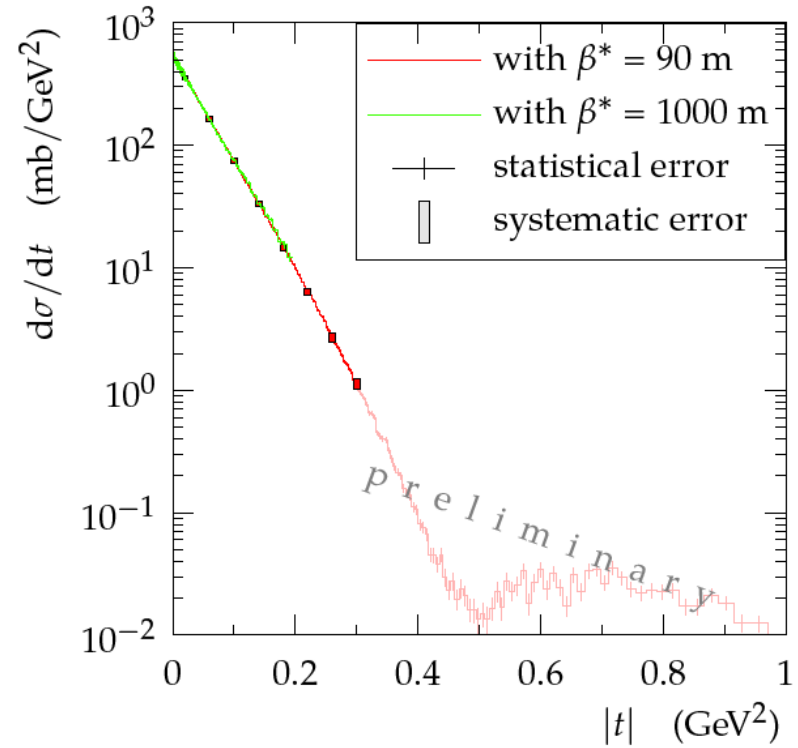
Elastic pp Scattering at 7 and 8 TeV: Differential Cross-Sections



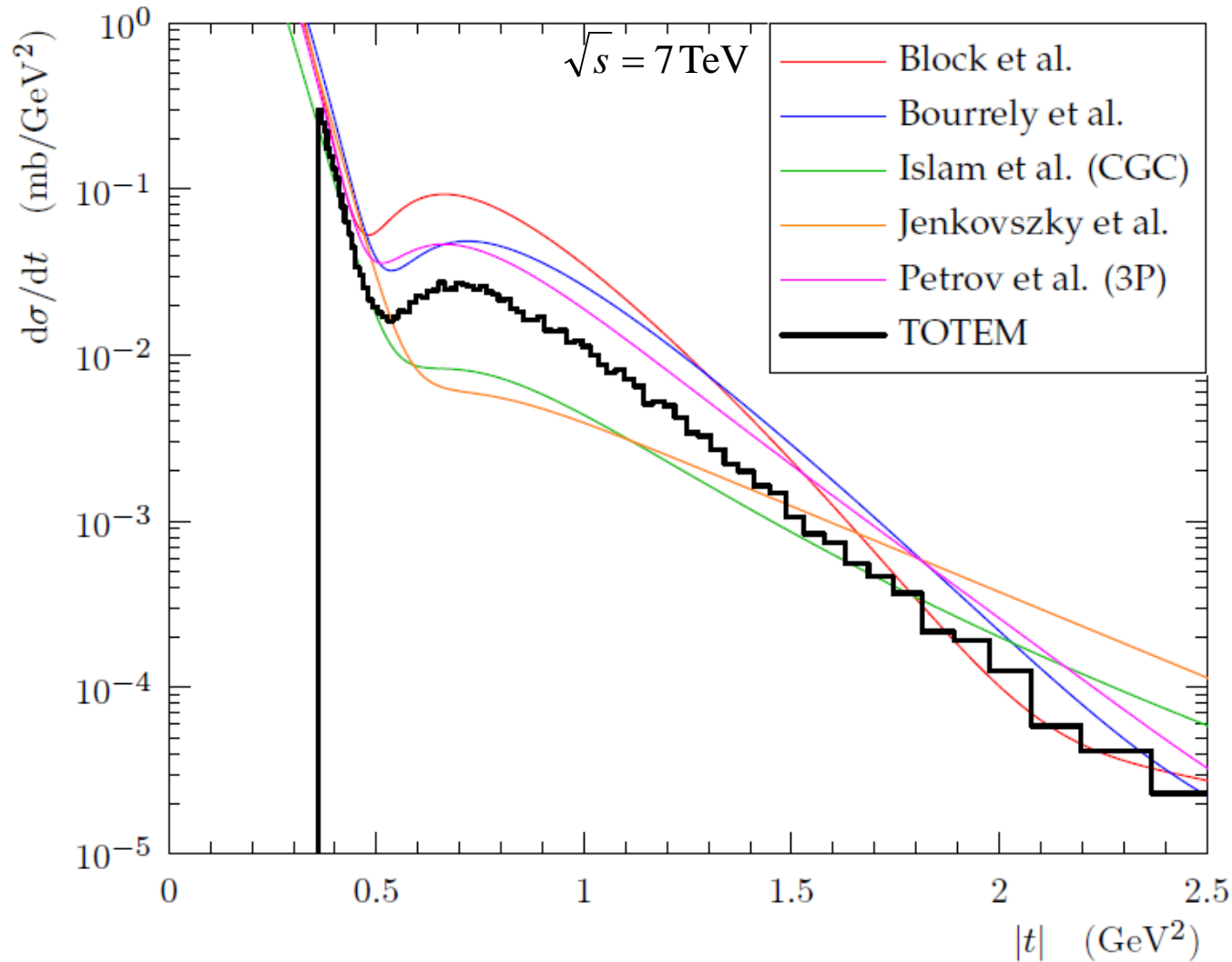
$\sqrt{s} = 7 \text{ TeV}$



$\sqrt{s} = 8 \text{ TeV}$

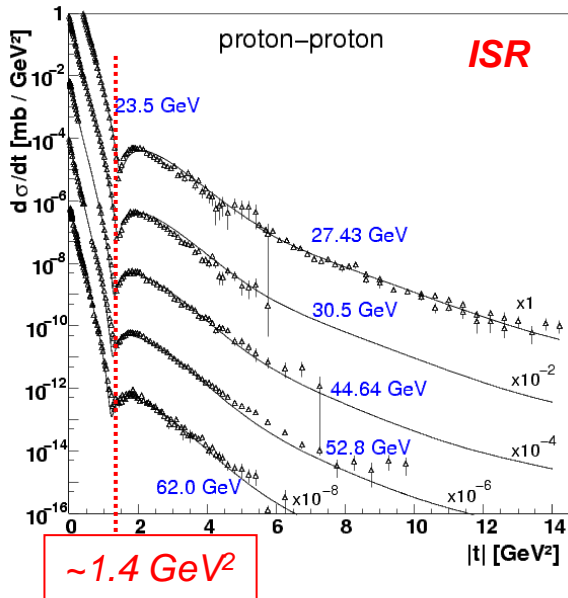
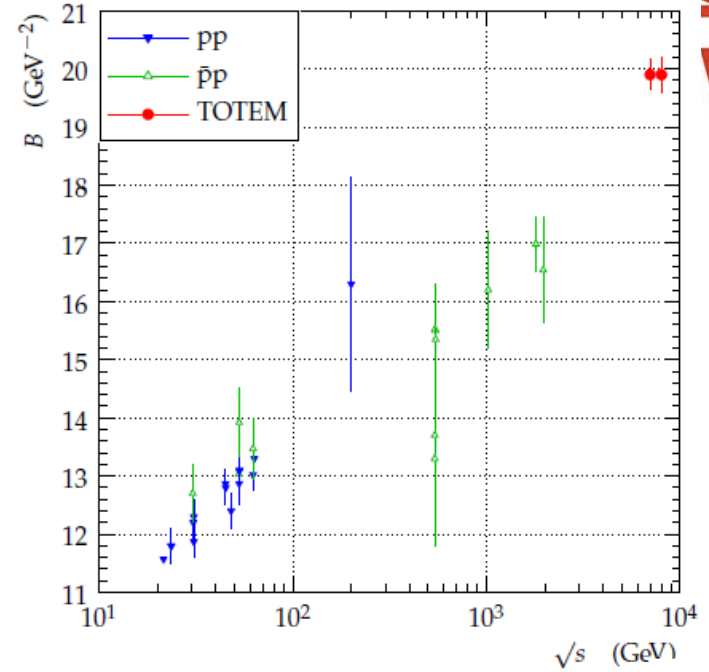
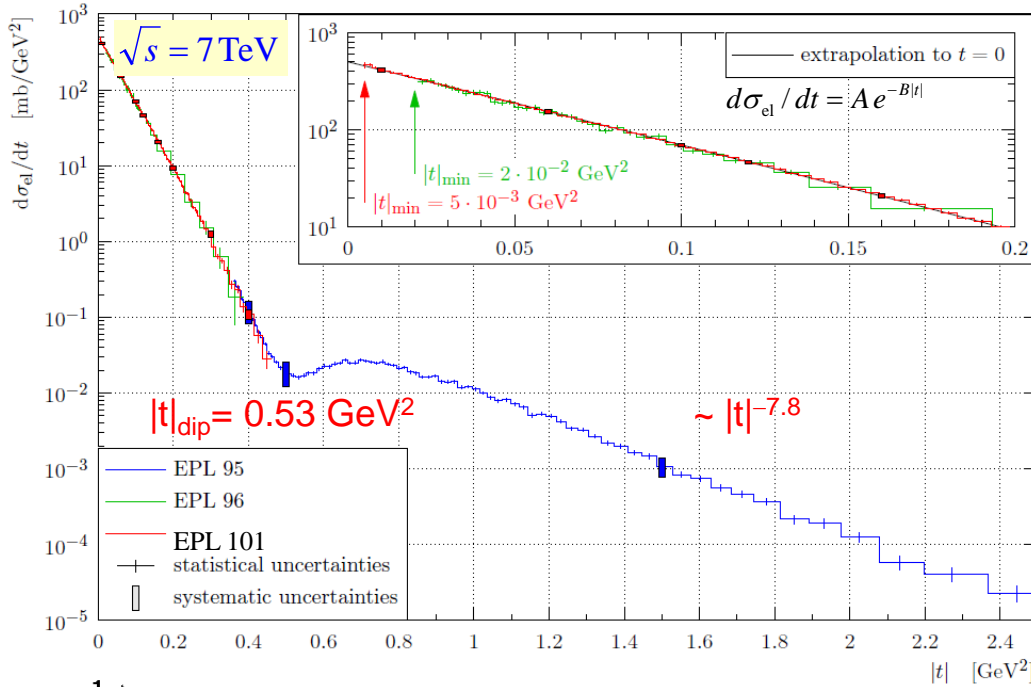


Model Comparisons



No theoretical / phenomenological model describes the TOTEM data completely.

Some Lessons on Hadronic Elastic pp Scattering



At low $|t|$: nearly exponential decrease:

$$B_{7\text{TeV}} = (19.89 \pm 0.27) \text{ GeV}^{-2}$$

$$B_{8\text{TeV}} = (19.90 \pm 0.30) \text{ GeV}^{-2}$$

Old trends for increasing s are confirmed:

- “shrinkage of the forward peak”: minimum moves to lower $|t|$
- forward exponential slope B increases

Inelastic and Total pp Cross-Section Measurements

7 TeV

8 TeV

First measurements of the total proton-proton cross section at the LHC energy of $\sqrt{s} = 7\text{ TeV}$
[EPL 96 (2011) 21002]

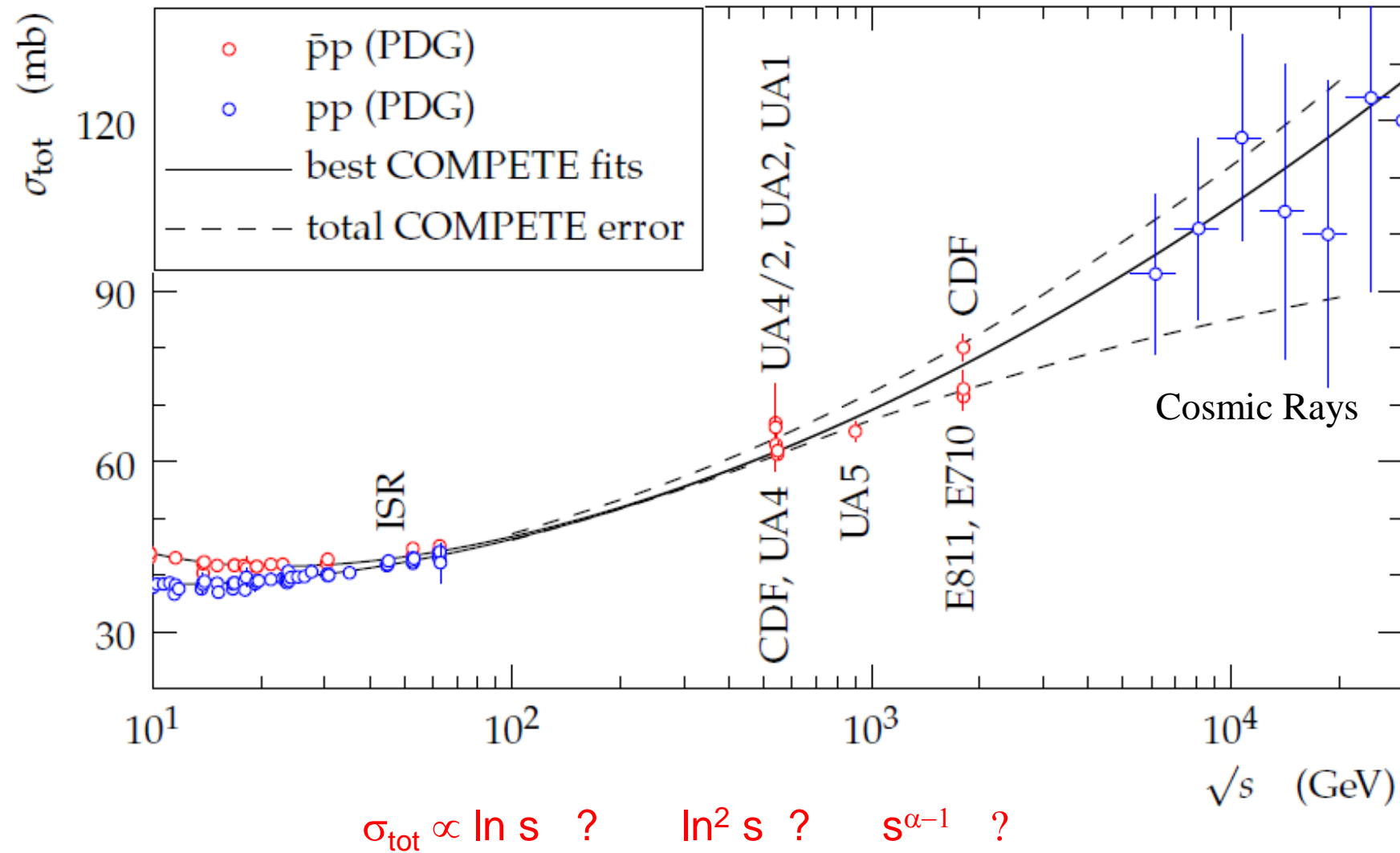
Measurement of proton-proton elastic scattering and total cross-section at $\sqrt{s} = 7\text{ TeV}$
[EPL 101 (2013) 21002]

Measurement of proton-proton inelastic scattering cross-section at $\sqrt{s} = 7\text{ TeV}$
[EPL 101 (2013) 21003]

Luminosity-independent measurements of total, elastic and inelastic cross-sections at $\sqrt{s} = 7\text{ TeV}$
[EPL 101 (2013) 21004]

A luminosity-independent measurement of the proton-proton total cross-section at $\sqrt{s} = 8\text{ TeV}$
[Phys. Rev. Lett. 111, 012001 (2013)]

Total pp Cross-Section: Status before TOTEM



[COMPETE: J. Cudell et al., PRL 89 (2002) 201801]

3 Ways to the Total Cross-Section



Optical Theorem: $\sigma_{\text{tot}}^2 \propto [\Im F_{\text{el, had}}(t=0)]^2 = \frac{1}{1+\rho^2} |F_{\text{el, had}}(t=0)|^2$ with $\rho = \frac{\Re F_{\text{el, had}}}{\Im F_{\text{el, had}}}\Big|_{t=0}$

$$\sigma_{\text{tot}}^2 = \frac{16\pi}{1+\rho^2} \frac{d\sigma_{\text{el}}}{dt}\Big|_{t=0}$$

7 TeV

elastic observables only:

$$\sigma_{\text{tot}}^2 = \frac{16\pi}{1+\rho^2} \frac{1}{\mathcal{L}} \frac{dN_{\text{el}}}{dt}\Big|_0 \quad (\rho=0.14 \text{ [COMPETE extrapol.]})$$

June 2011 (EPL96): $\sigma_{\text{tot}} = (98.3 \pm 2.8) \text{ mb}$

Oct. 2011 (EPL101): $\sigma_{\text{tot}} = (98.6 \pm 2.2) \text{ mb}$

different beam intensities !

σ_{tot}

q independent:

$$\sigma_{\text{tot}} = \frac{1}{\mathcal{L}} (N_{\text{el}} + N_{\text{inel}})$$

$$\sigma_{\text{tot}} = (99.1 \pm 4.3) \text{ mb}$$

luminosity independent:

$$\sigma_{\text{tot}} = \frac{16\pi}{1+\rho^2} \frac{dN_{\text{el}}/dt|_0}{N_{\text{el}} + N_{\text{inel}}}$$

$$\sigma_{\text{tot}} = (98.0 \pm 2.5) \text{ mb}$$

Excellent agreement between cross-section measurements at 7 TeV using

- runs with different bunch intensities,
- different methods with different external inputs.



7 TeV

T2 sees ~95 % of inelastic events (detection of 1 track is enough!)

Corrections to the T2 visible events

- Trigger Inefficiency: $2.3 \pm 0.7 \%$
(measured from zero bias data with respect to track multiplicity)
- Track reconstruction efficiency: $1.0 \pm 0.5 \%$
(based on MC tuned with data)
- Beam-gas background: $0.6 \pm 0.4\%$
(measured with non colliding bunch data)
- Pile-up ($\mu = 0.03$): $1.5 \pm 0.4\%$
(contribution measured from zero bias data)

$$\sigma_{\text{inelastic, T2 visible}} = 69.7 \pm 0.1 \text{ (stat)} \pm 0.7 \text{ (syst)} \pm 2.8 \text{ (lumi) mb}$$

Corrected Inelastic Cross-Section



7 TeV

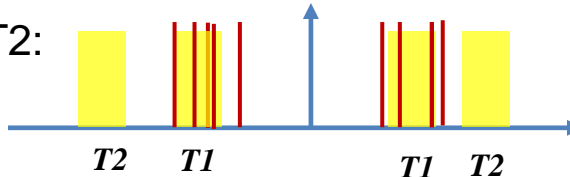
$\sigma_{\text{inelastic, T2 visible}}$



$\sigma_{\text{inelastic}}$

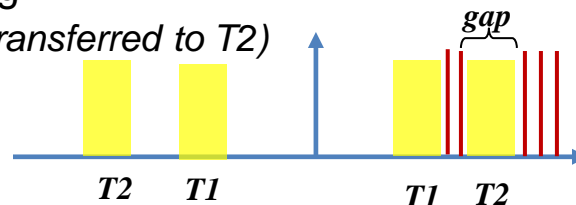
Missing inelastic cross-section

- Events visible in T1 but not in T2:
(estimated from zero bias data)



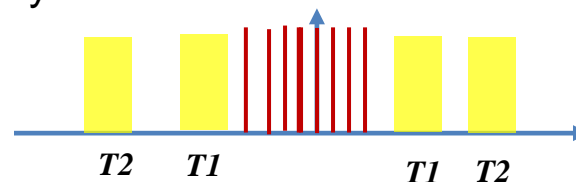
$1.6 \pm 0.4 \%$

- Fluctuation rapidity gap covering T2 :
(estimated from T1 gap probability transferred to T2)



$0.35 \pm 0.15 \%$

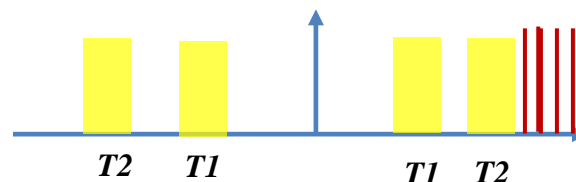
- Central Diffraction: T1 & T2 empty :
(based on MC)



$0.0 \pm 0.35 \%$

- Low Mass Diffraction :
(Several models studied, correction based on QGSJET-II-3)

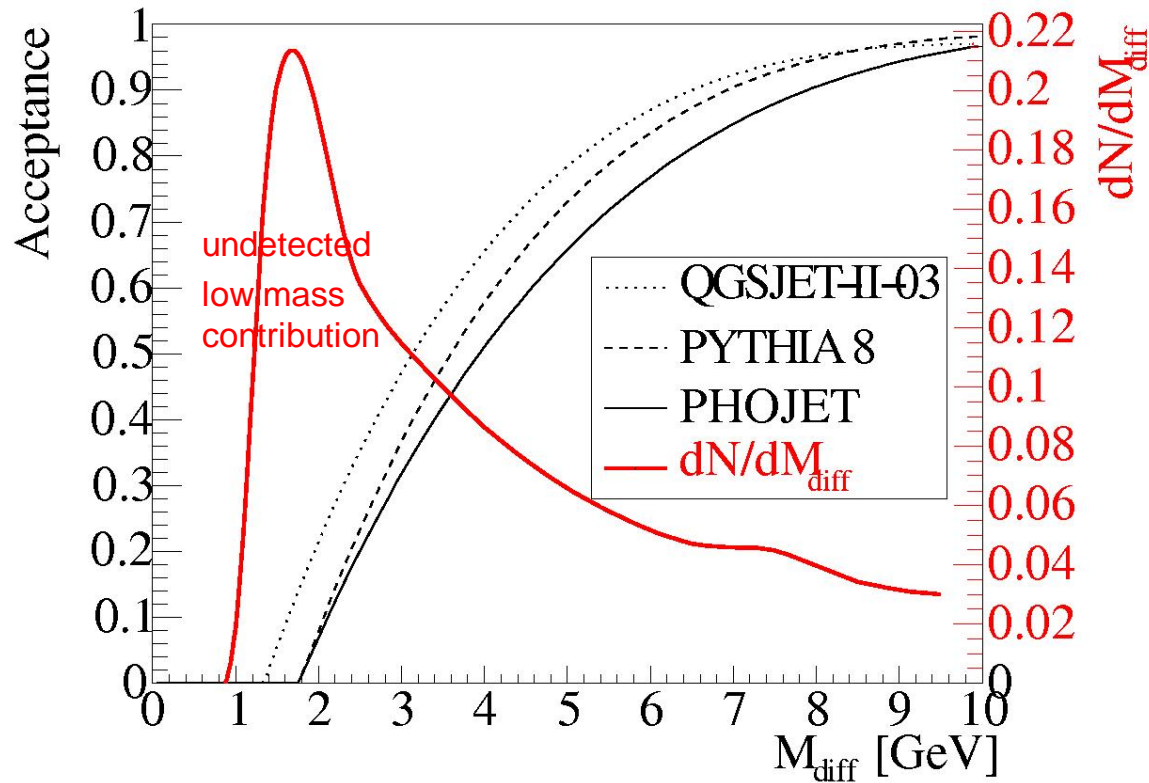
$\sigma_{Mx < 3.4 \text{ GeV}} = 3.2 \pm 1.6 \text{ mb} \rightarrow 4.2 \pm 2.1 \%$



Low-Mass Diffraction



7 TeV



Correction based on QGSJET-II-3

Correction for the low mass diffractive cross-section: $\sigma_{Mx < 3.4 \text{ GeV}} = 3.2 \pm 1.6 \text{ mb}$

$$\sigma_{\text{inelastic}} = 73.7 \pm 0.1^{\text{(stat)}} \pm 1.7^{\text{(syst)}} \pm 2.9^{\text{(lumi)}} \text{ mb}$$



Estimate of the Low-Mass Diffractive Cross-Section from the Data

7 TeV

Use the total cross-section determined from elastic observables, \mathcal{L} and ρ
(via the Optical Theorem)

$$\sigma_{\text{tot}}^2 = \frac{16\pi}{1 + \rho^2} \frac{1}{\mathcal{L}} \left. \frac{dN_{\text{el}}}{dt} \right|_0 \quad \rightarrow \quad \sigma_{\text{inel}} = \sigma_{\text{tot}} - \sigma_{\text{el}} = 73.15 \pm 1.26 \text{ mb}$$

and the measured inelastic cross-section for $|\eta| < 6.5$ (T1, T2)

$$\sigma_{\text{inel}, |\eta| < 6.5} = 70.53 \pm 2.93 \text{ mb}$$

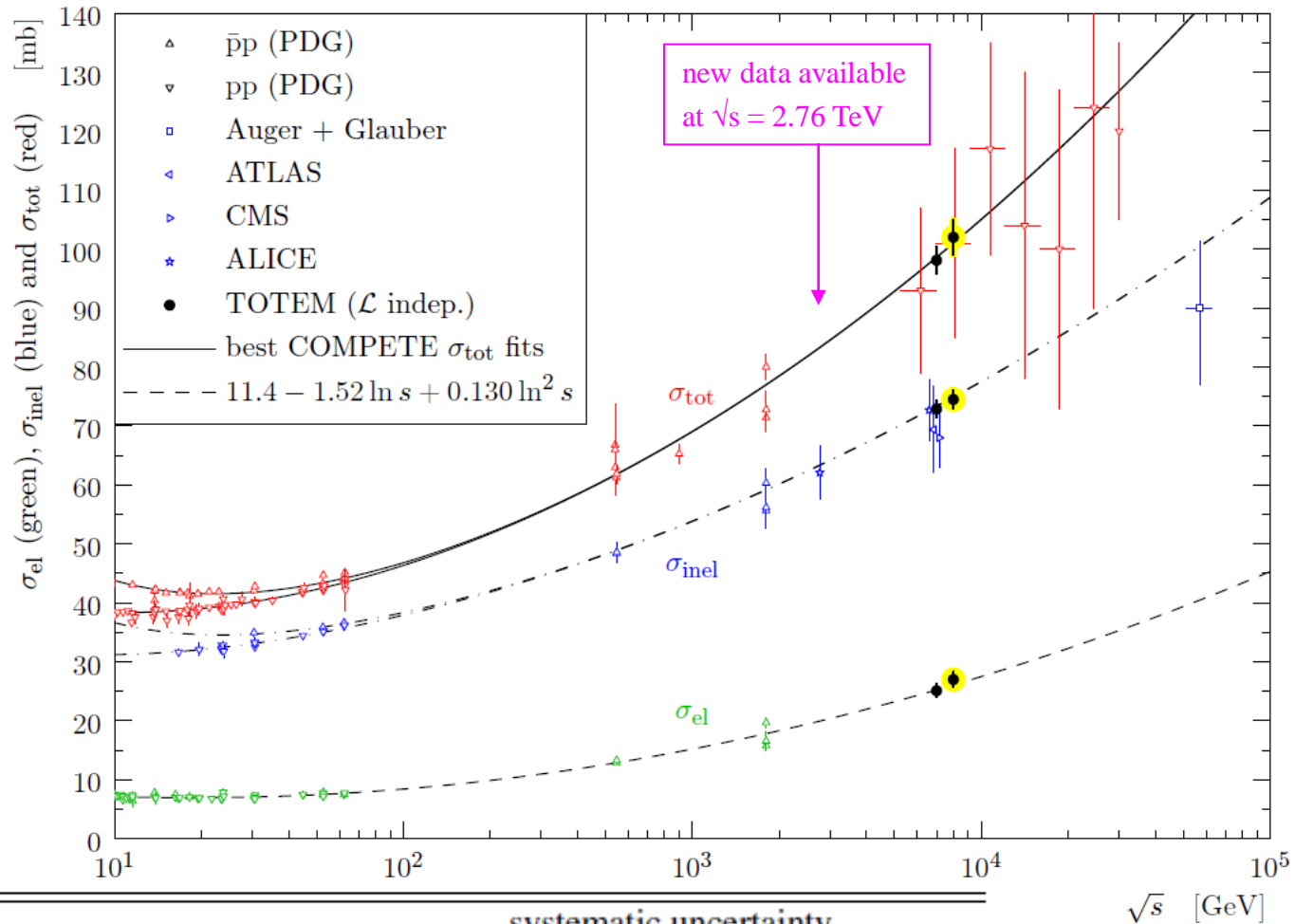
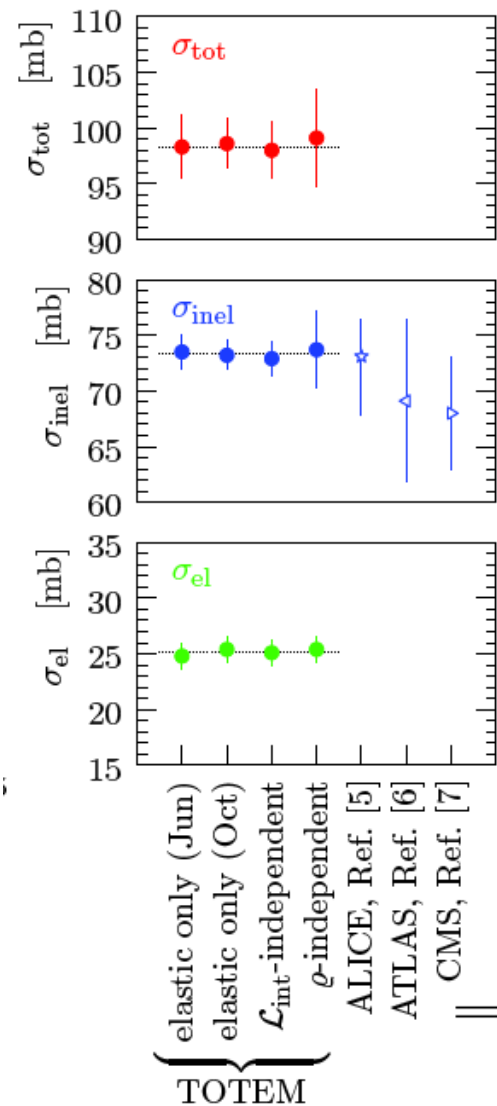
to obtain the low-mass diffractive cross-section ($|\eta| > 6.5$ or $M < 3.4 \text{ GeV}$):

$$\begin{aligned} \sigma_{\text{inel}, |\eta| > 6.5} &= \sigma_{\text{inel}} - \sigma_{\text{inel}, |\eta| < 6.5} = 2.62 \pm 2.17 \text{ mb} && [\text{MC: } 3.2 \text{ mb}] \\ &< 6.31 \text{ mb} \quad (95\% \text{ CL}) \end{aligned}$$

pp Cross-Section Measurements



7 TeV



8 TeV

quantity	value	systematic uncertainty				
		el. t -dep	el. norm	inel	ρ	\Rightarrow full
σ_{tot} [mb]	101.7	± 1.8	± 1.4	± 1.9	± 0.2	$\Rightarrow \pm 2.9$
σ_{inel} [mb]	74.1	± 1.2	± 0.6	± 0.9	± 0.1	$\Rightarrow \pm 1.7$
σ_{el} [mb]	27.1	± 0.5	± 0.7	± 1.0	± 0.1	$\Rightarrow \pm 1.4$

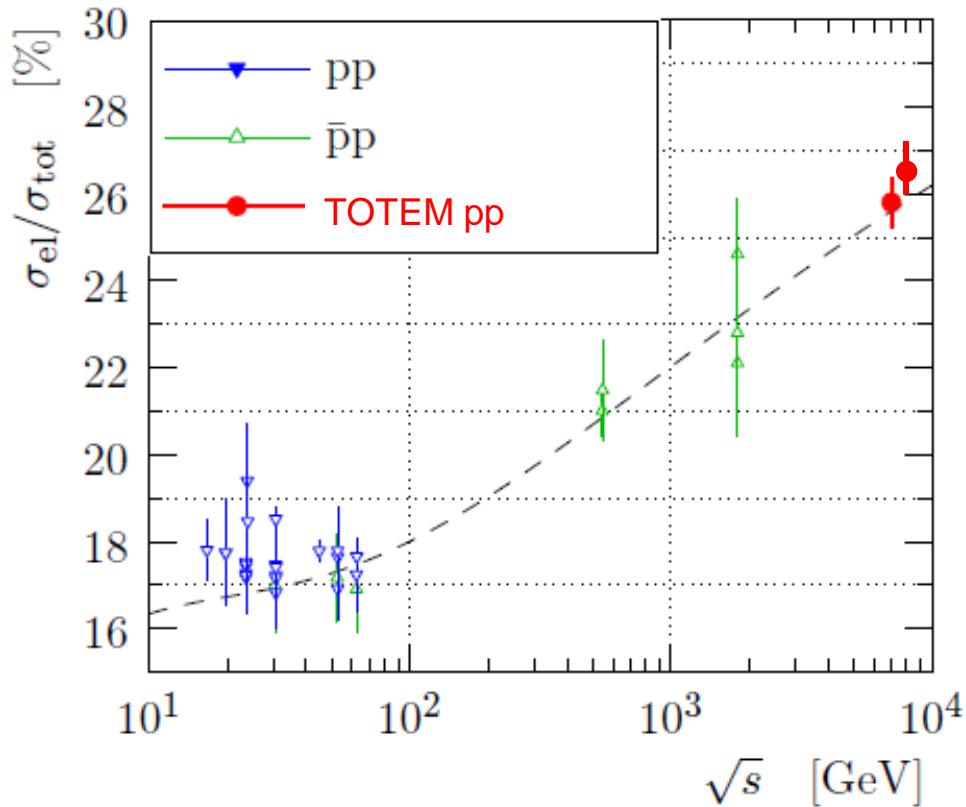
Elastic to Total Cross-Section Ratio



$$\frac{\sigma_{el}}{\sigma_{tot}} = \frac{N_{el}}{N_{el} + N_{inel}} =$$

	7 TeV	8 TeV
	0.257 ± 0.005	0.266 ± 0.006

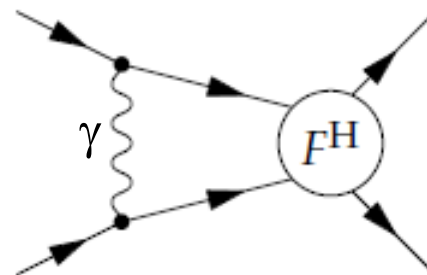
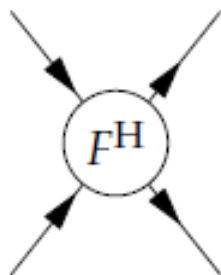
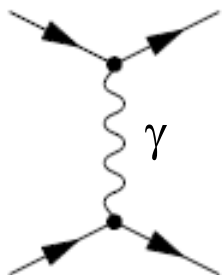
independent of luminosity and ρ



➔ $\sigma_{el} / \sigma_{tot}$ increases with energy

➔ proton grows / becomes “blacker”

Interference between Hadronic and Coulomb Elastic pp Scattering

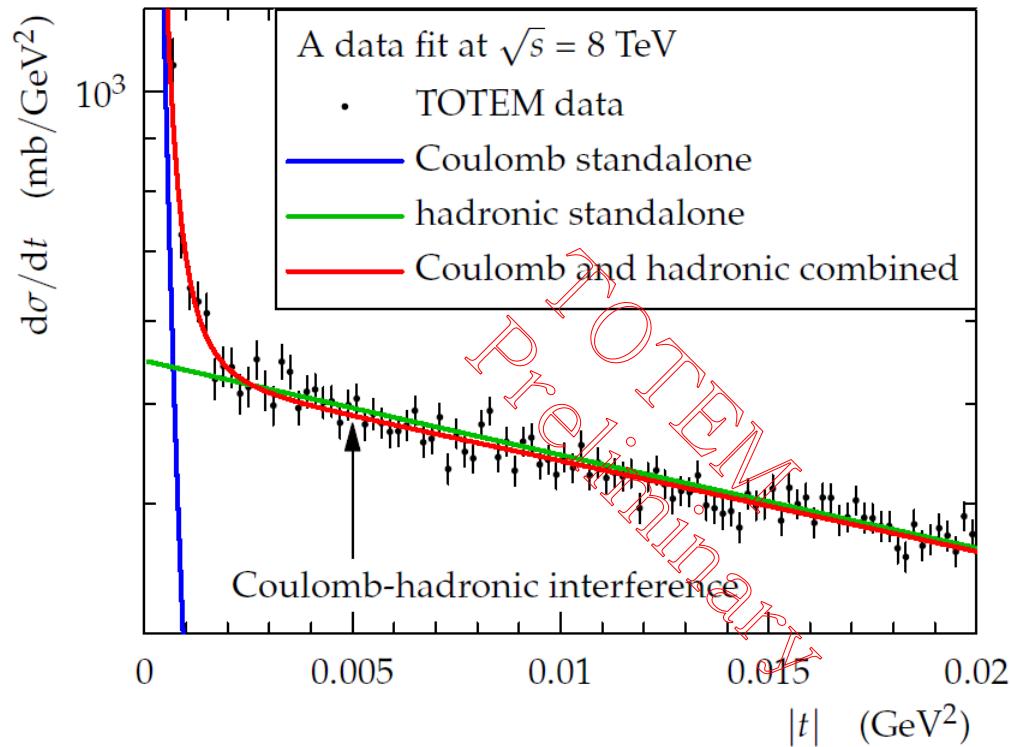


Elastic Scattering in the Coulomb-Nuclear Interference Region



Measure elastic scattering at $|t|$ as low as $6 \times 10^{-4} \text{ GeV}^2$:

- $\beta^* = 1000 \text{ m}$ optics: large effective lengths L_x and L_y , small beam divergence
- RP approach to 3σ from the beam centre



$$d\sigma / dt \propto |F^{C+h}|^2 = \text{Coulomb} + \text{interference} + \text{hadronic}$$

Elastic Scattering in the Coulomb-Nuclear Interference Region



$d\sigma / dt \propto |F^{C+H}|^2 = \text{Coulomb} + \text{interference} + \text{hadronic}$

Kundrát-Lokajíček formula:

$$F^{C+H} = F^C + F^H e^{i\alpha\Psi}$$

$$\Psi(t) = \mp \int_{t_{\min}}^0 dt' \ln \frac{t'}{t} \frac{d}{dt'} \mathcal{F}^2(t') \pm \int_{t_{\min}}^0 dt' \left(\frac{F^H(t')}{F^H(t)} - 1 \right) \frac{I(t, t')}{2\pi}$$

$$I(t, t') = \int_0^{2\pi} d\varphi \frac{\mathcal{F}^2(t'')}{t''}, \quad t'' = t + t' + 2\sqrt{tt'} \cos \varphi$$

$$F^C = \frac{\alpha_s}{t} \mathcal{F}^2(t)$$

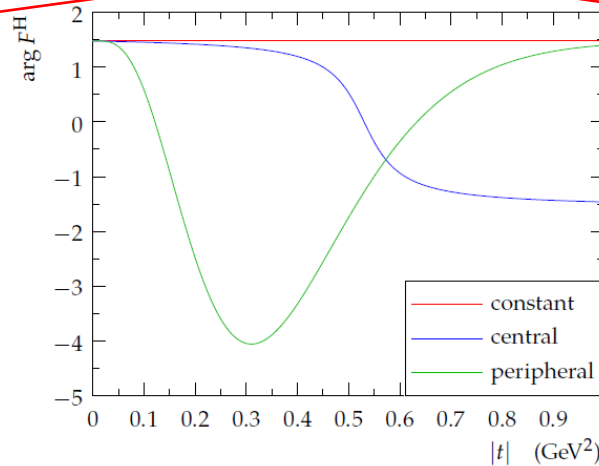
- Modulus constrained by measurement: $d\sigma/dt \cong A e^{-B(t) |t|}$
 $B(t) = b_0 + b_1 t + \dots$: described by $n > 1$ parameters
- Phase $\Phi(t) = \arg(F^H)$: very little guidance by data

“central phase”:

$$\Phi = \frac{\pi}{2} - \text{atan} \frac{\cot p_0}{1 - \frac{t}{t_d}}$$

“peripheral phase”:

$$\Phi = p_0 + p_A \exp \left[\kappa \left(\ln \frac{t}{t_m} - \frac{t}{t_m} + 1 \right) \right]$$



Only 1 free parameter: p_0

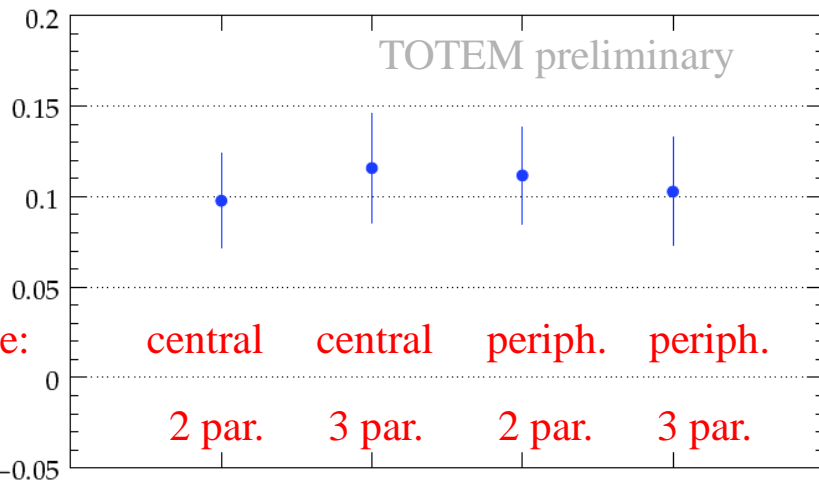
$$\rho = \frac{\Re F^H(0)}{\Im F^H(0)} = \cot \Phi(0) = \cot p_0$$

Preliminary Result for ρ

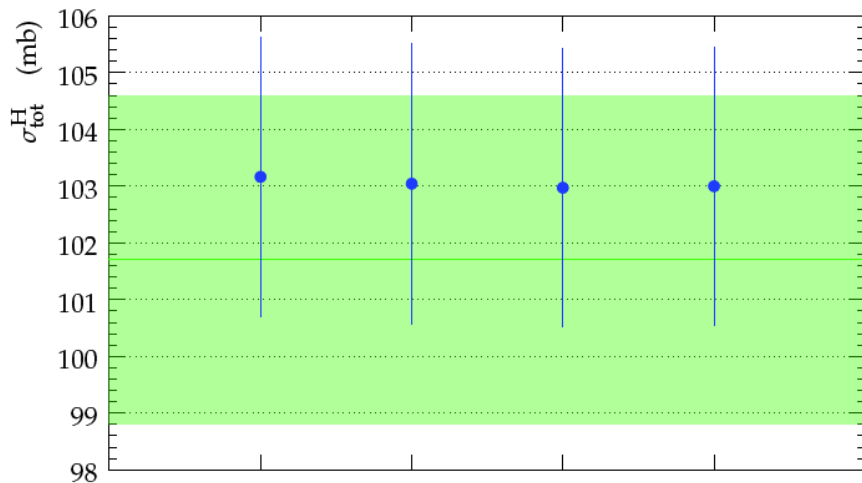


Put unknown elements of the functional form into the systematic uncertainty.

$$\rho \equiv \left. \frac{\Re F^H}{\Im F^H} \right|_0$$



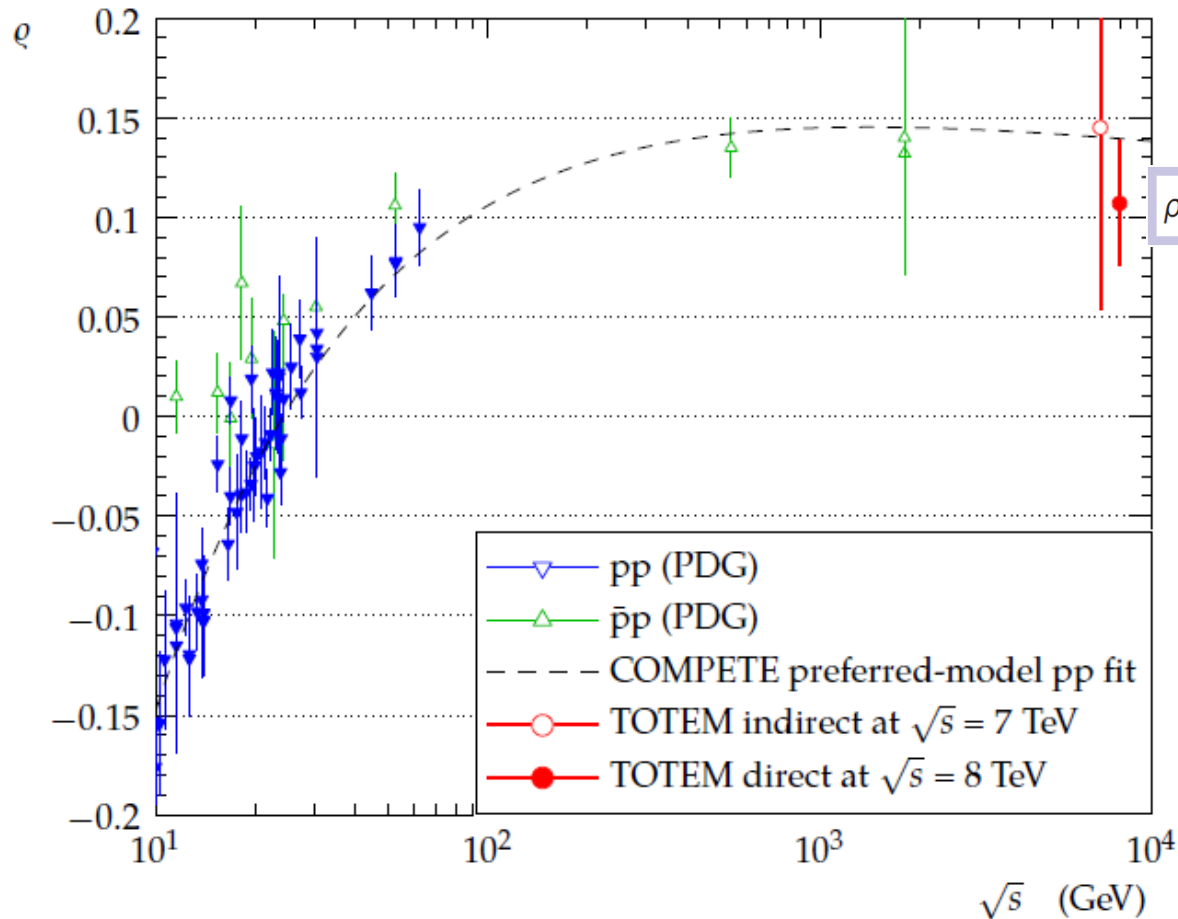
$$\rho = 0.104 \pm 0.027^{(\text{stat})} \pm 0.010^{(\text{syst})} \begin{matrix} +0.012 \\ -0.006 \end{matrix} (\text{model})$$



$$\sigma_{tot}^2 = \frac{16\pi}{(1 + \rho^2)} \frac{1}{\mathcal{L}} \left(\frac{dN_{el}}{dt} \right)_{t=0}^{had}$$

$\sigma_{total} = 101.7 \pm 2.9 \text{ mb}$
 luminosity independent
PRL111(2013)012001

Synopsis of ρ Measurements



$$\rho = 0.104 \pm 0.027^{(\text{stat})} \pm 0.010^{(\text{syst})} \begin{matrix} +0.012 \text{ (model)} \\ -0.006 \end{matrix}$$

Indirect crude measurement at 7 TeV:

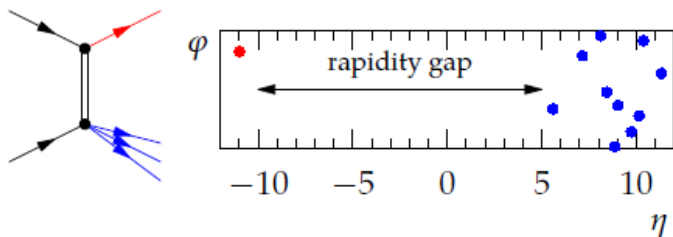
From optical theorem:

$$\rho^2 = 16\pi \mathcal{L}_{\text{int}} \frac{dN_{\text{el}}}{dt} \Big|_{t=0} (N_{\text{el}} + N_{\text{inel}})^2 - 1 = 0.009 \pm 0.056 \rightarrow |\rho| = 0.145 \pm 0.091$$

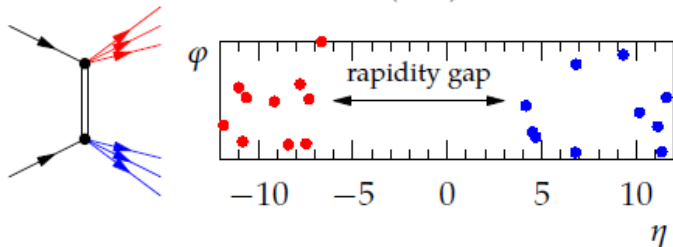
Ongoing Analyses of Diffractive Processes: Standalone and Common Runs with CMS

- A Selection -

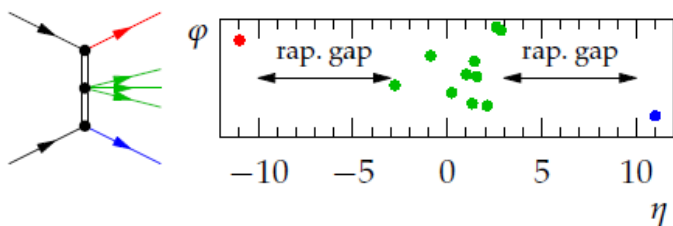
Single Diffraction (SD), ≈ 10 mb



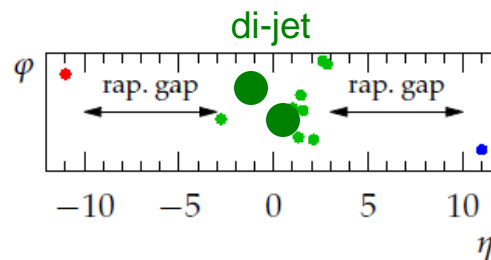
Double Diffraction (DD), ≈ 5 mb



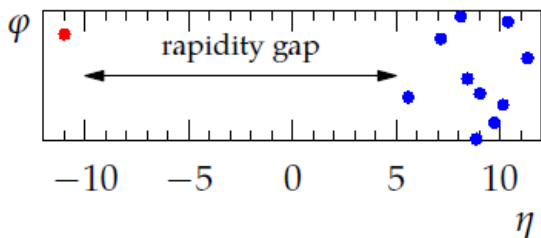
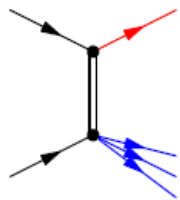
Central Diffraction (CD), ≈ 1 mb



→ Measure topologies and $\sigma(M, \xi, t)$

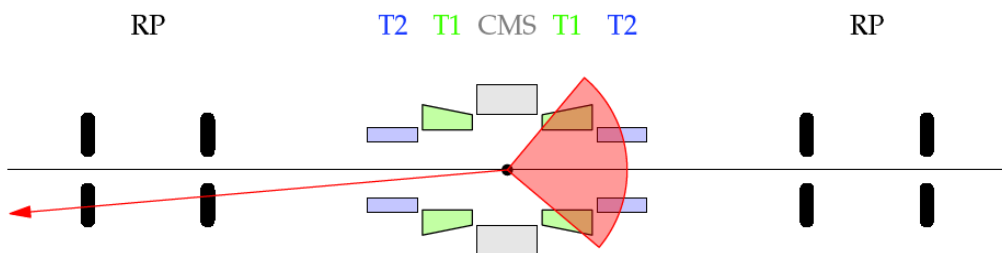


Soft Single Diffraction (SD)



- 1 proton breaks up
→ diffractive mass M
- 1 proton survives with momentum loss ξ
- rapidity gap $\Delta\eta$ between proton and M

$$\Delta\eta = -\ln \xi, \quad M^2 = \xi s$$



Trigger on T2, require 1 proton

2 ways for measuring ξ :

1. via the proton trajectory (RP): $x_{RP} = L_x \Theta_x^* + v_x x^* + D_x \xi$

resolution at $\beta^*=90\text{m}$:
 $\delta\xi \sim 0.004 - 0.01$
 (dependent on t, ξ)

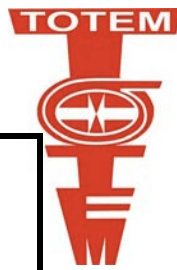
2. via the rapidity gap (T1, T2)

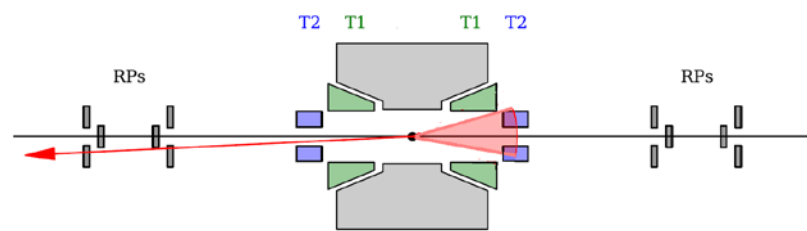
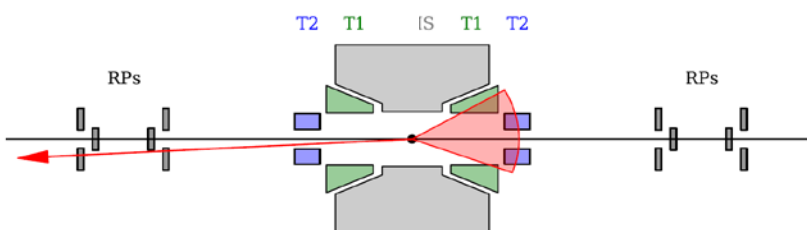
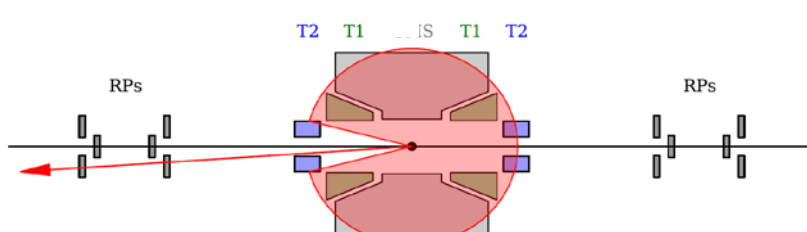
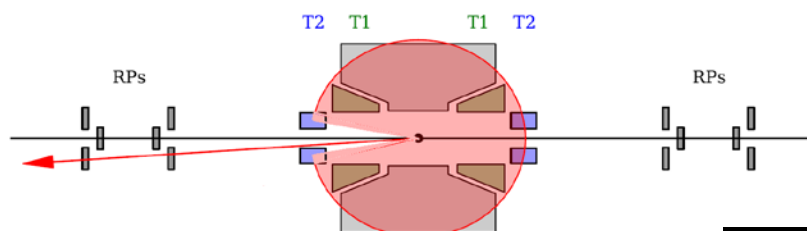
Note: $\eta_{\text{max}, T2} = 6.5 \Leftrightarrow M_{\text{min}} = 3.4 \text{ GeV}$

$\delta\xi \sim \xi$

Full differential cross-section: $\frac{d^2 \sigma}{d\xi dt}$

SD Topologies for Different Mass Ranges



<p>$M =$ 3.4 – 7 GeV</p>	<p>$2 \times 10^{-7} < \xi < 1 \times 10^{-6}$</p>	<p>proton & opposite T2</p> 
<p>$M =$ 7 – 350 GeV</p>	<p>$1 \times 10^{-6} < \xi < 2.5 \times 10^{-3}$</p>	<p>proton & opposite T1 + T2</p> 
<p>$M =$ 0.35 – 1.1 TeV</p>	<p>$2.5 \times 10^{-3} < \xi < 2.5 \times 10^{-2}$</p>	<p>proton & opposite T2 (+ T1) & same side T1</p> 
<p>$M > 1.1$ TeV</p>	<p>$\xi > 2.5 \times 10^{-2}$</p>	<p>proton & opposite T2 (+ T1) & same side T2 (+ T1)</p> 

$$\Delta\eta = -\ln \frac{M^2}{s}$$

SD for Different Mass Ranges (7 TeV Data)



<p>M = 3.4 – 7 GeV</p>	<p>$2 \times 10^{-7} < \xi < 1 \times 10^{-6}$</p>	
<p>M = 7 – 350 GeV</p>	<p>$1 \times 10^{-6} < \xi < 2.5 \times 10^{-3}$</p>	
<p>M = 0.35 – 1.1 TeV</p>	<p>$2.5 \times 10^{-3} < \xi < 2.5 \times 10^{-2}$</p>	
<p>M > 1.1 TeV</p>	<p>$\xi > 2.5 \times 10^{-2}$</p>	<p>in progress</p>

Work in progress !
Some corrections
still missing !

estimated uncertainty:
 $\delta B/B \sim 15\%$

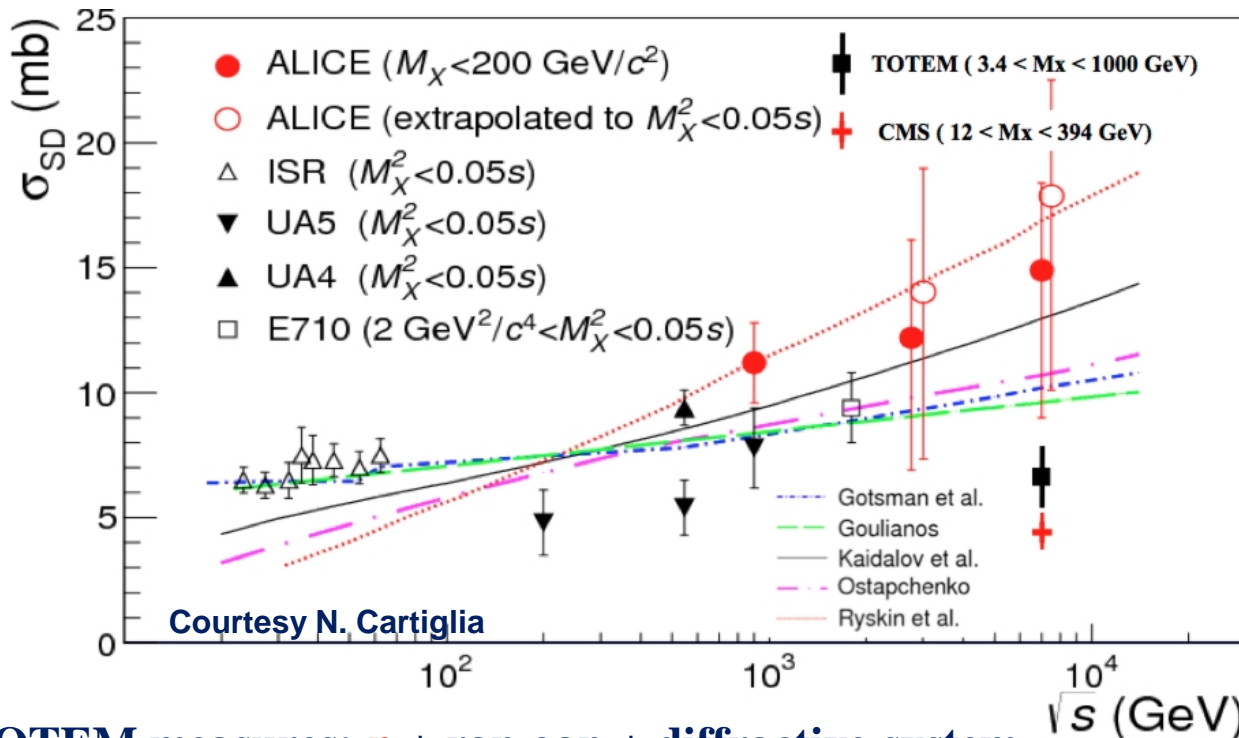
SD Cross-Section Measurements



very preliminary TOTEM result: $\sigma_{SD} = 6.5 \pm 1.3 \text{ mb} \quad (3.4 < M_{diff} < 1100 \text{ GeV})$

(sum of cross-sections for proton on either side, extrapolated to $t=0$ and integrated)

Estimate on $M < 3.4 \text{ GeV}$ from $\sigma_{tot} - \sigma_{el} - \sigma_{inel,visible} \sim 2.6 \pm 2.2 \text{ mb}$, or MC: 3.2 mb

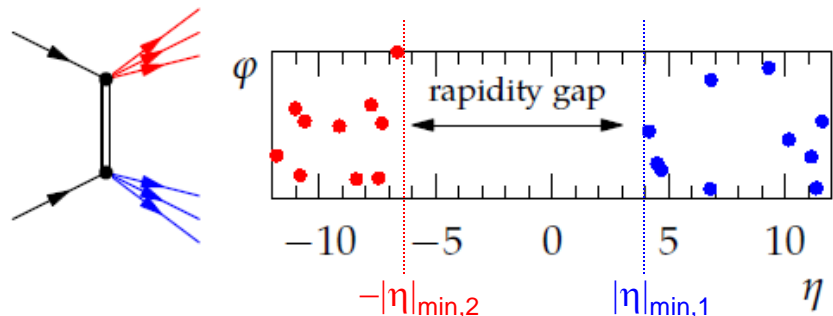


8 TeV TOTEM analysis has started.

TOTEM measures: p + rap gap + diffractive system,
ALICE & CMS: "rap gap + diffractive system"

NB: Very different mass ranges → results not directly comparable

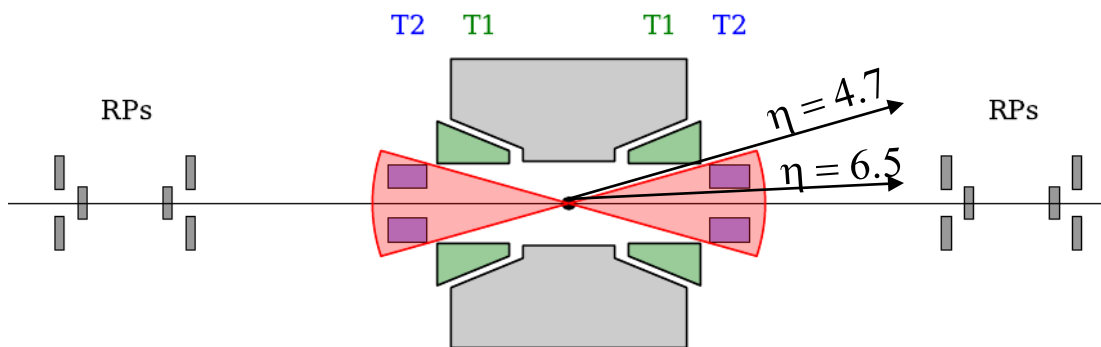
Soft Double Diffraction



- Both protons break up
→ 2 diffractive masses M_1, M_2
- Central rapidity gap

Ultimate goal: 2-dim. cross-section

$$\frac{d^2 \sigma}{dM_1 dM_2} \quad \text{or} \quad \frac{d^2 \sigma}{d|\eta|_{\min,1} d|\eta|_{\min,2}}$$



Difficulties:

- no leading protons to tag
- for large masses (→ small central gap) not easy to separate from non-diffractive events

First step: sub-range with particles **triggering both T2** hemispheres, **veto on T1**:

$$4.7 < |\xi|_{\min,1/2} < 6.5 \quad \text{or} \quad 3.4 \text{ GeV} < M_{1/2} < 8 \text{ GeV}$$

Double Diffraction: Results at 7 TeV



Partial 2-dim. cross-section in 2 x 2 bins:

	$-4.7 > \eta_{\min 2} \geq -5.9$	$-5.9 > \eta_{\min 2} \geq -6.5$
$4.7 < \eta_{\min 1} \leq 5.9$	$65 \pm 20 \mu\text{b}$	$26 \pm 5 \mu\text{b}$
$5.9 < \eta_{\min 1} \leq 6.5$	$27 \pm 5 \mu\text{b}$	$12 \pm 5 \mu\text{b}$

Sum:

$$\sigma_{DD(4.7 < |\eta_{\min}| < 6.5)} = 116 \pm 25 \mu\text{b}$$

[CERN-PH-EP-2013-170] **NEW!**

Leading systematics:

- missing DD events with unseen particles at $\eta < \eta_{\min}$
- backgrounds from non-diffractive, single diffractive, central diffractive events

So far, only a small part of DD measured: **116 μb out of $\sim 5 \text{ mb}$** , but:

benchmark for Monte Carlos:

Pythia 8:

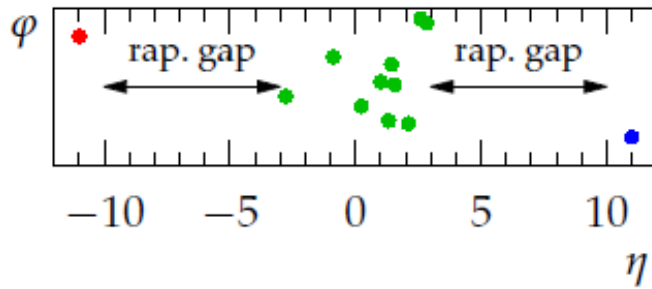
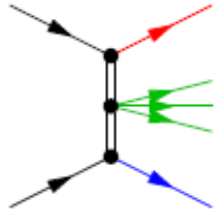
$$\sigma_{DD(4.7 < |\eta_{\min}| < 6.5)} = 159 \mu\text{b}$$

Phojet:

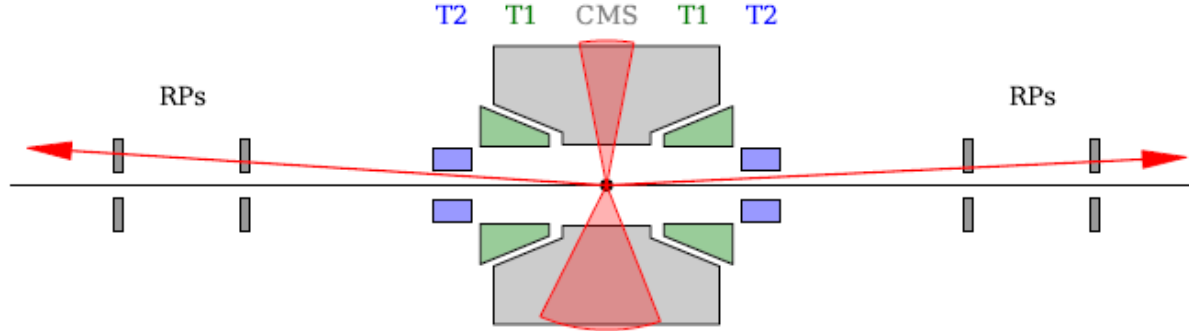
$$\sigma_{DD(4.7 < |\eta_{\min}| < 6.5)} = 101 \mu\text{b}$$

Improvement expected with 8 TeV data: also CMS detector information available (joint run).

Central Diffraction (“Double Pomeron Exchange”)



- both protons survive with momentum losses ξ_1, ξ_2
- diffractive mass M in the centre
- 2 rapidity gaps $\Delta\eta_1, \Delta\eta_2$



$$\Delta\eta_{1,2} = -\ln \xi_{1,2}, \quad M^2 = \xi_1 \xi_2 s$$



Joint data taking CMS + TOTEM:

kinematic redundancy between protons and central diffractive system

$$M_{\text{CMS}} = M_{\text{TOTEM}}(\text{pp}) \quad ?$$

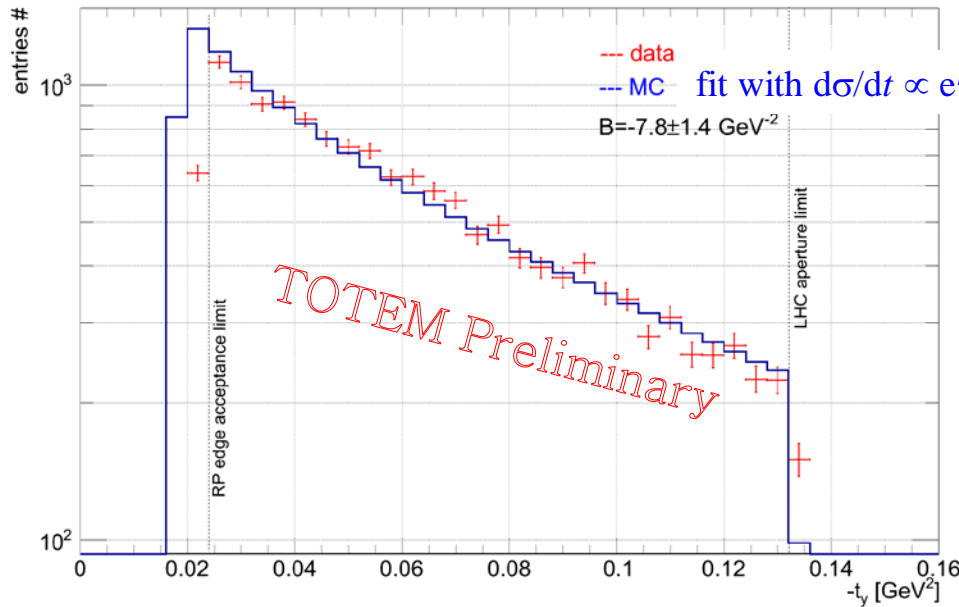
Central Diffraction (“Double Pomeron Exchange”)



Soft DPE: study differential cross-section with correlations:
 (in progress: $d\sigma/dM$, $d\sigma dt_1$)

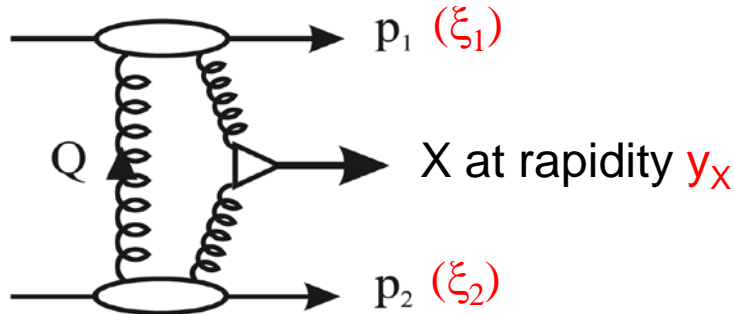
$$\frac{d^5 \sigma}{d\xi_1 d\xi_2 dt_1 dt_2 d\Delta\Phi}$$

Single arm CD event rate (integrated ξ , acceptance corrected)



Estimate on the integral:
 $\sigma_{\text{CD}} \sim 1 \text{ mb}$

Exclusive Particle Production:



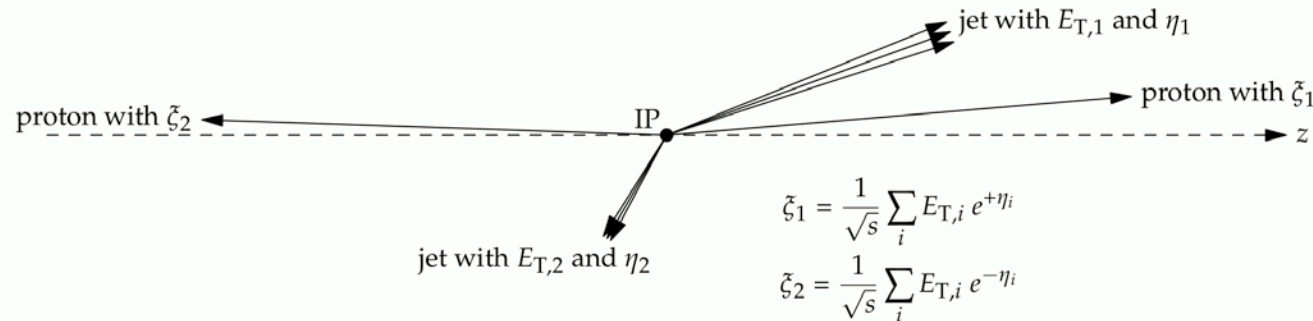
$$M_X^2 = \xi_1 \xi_2 s$$

$$y_X = \frac{1}{2} \ln \frac{\xi_1}{\xi_2}$$

exchange of colour singlets with vacuum quantum numbers

⇒ Selection rules for system X: $J^{PC} = 0^{++}$ (mainly) → X = χ_{c0} , χ_{b0} , H, glueballs?

(Exclusive) Dijet Production:



Joint analysis of special run at 8 TeV, $\beta^* = 90$ m together with CMS in progress



**Forward Particle Production:
Charged Particle Multiplicity**

$dN_{ch}/d\eta$: mean number of charged particles per event and per unit of pseudorapidity:

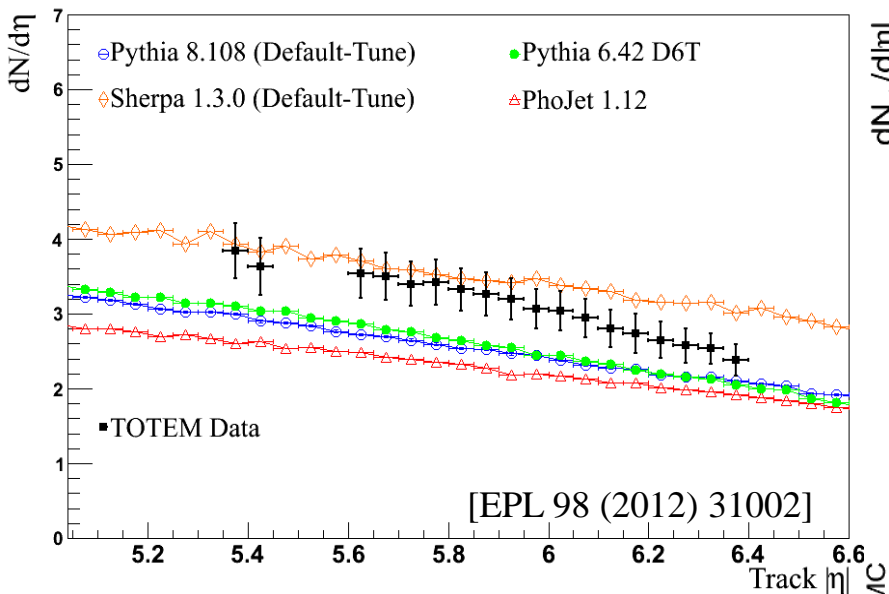
primary particles only, i.e. lifetime > 30 ps (convention among LHC experiments)

→ probes hadronisation → constrains theoretical models

→ input for cosmic ray simulations

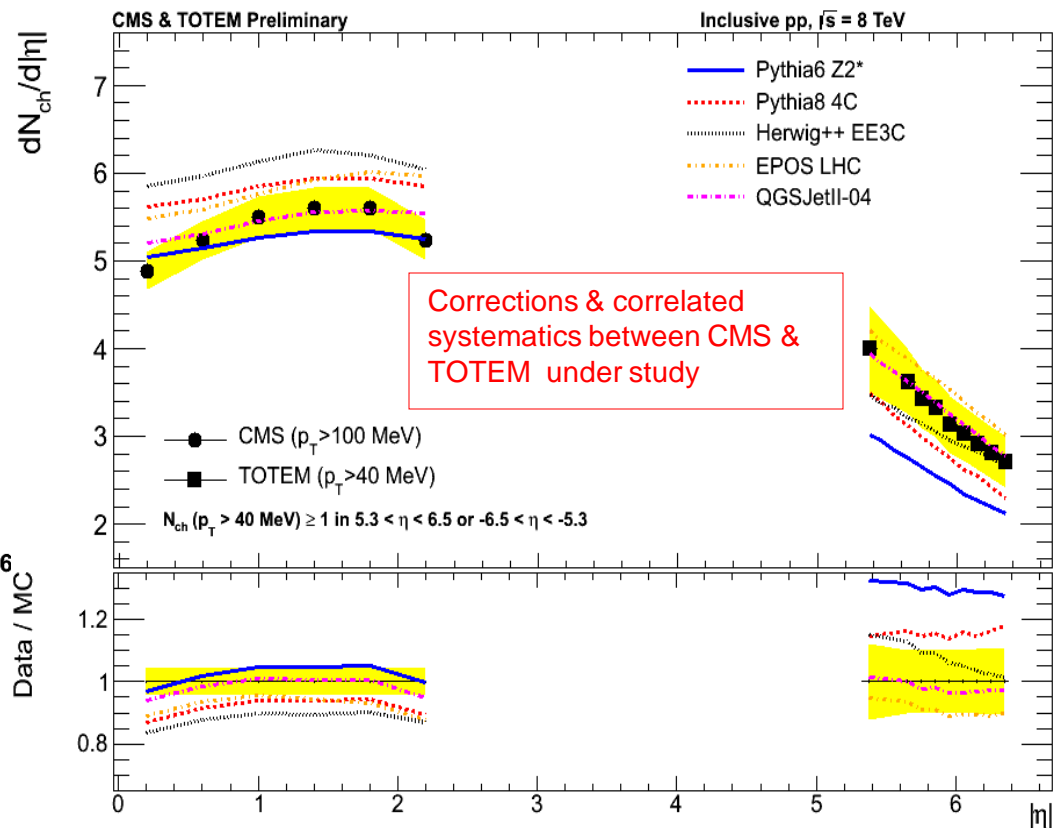
7 TeV

TOTEM standalone (T2)



8 TeV

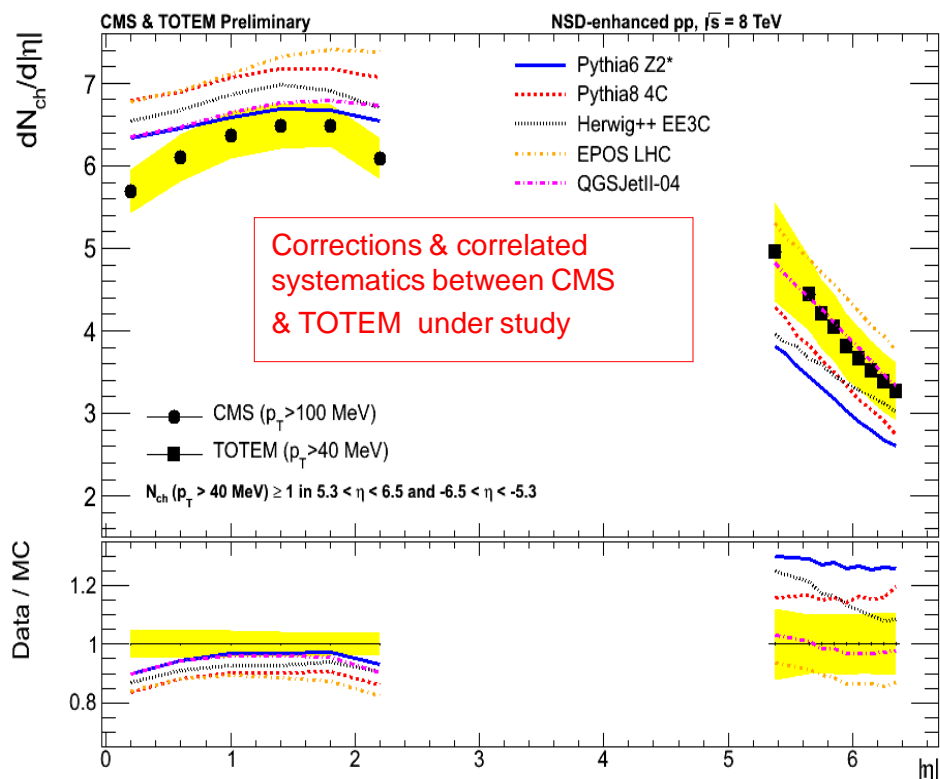
CMS + TOTEM (T2)



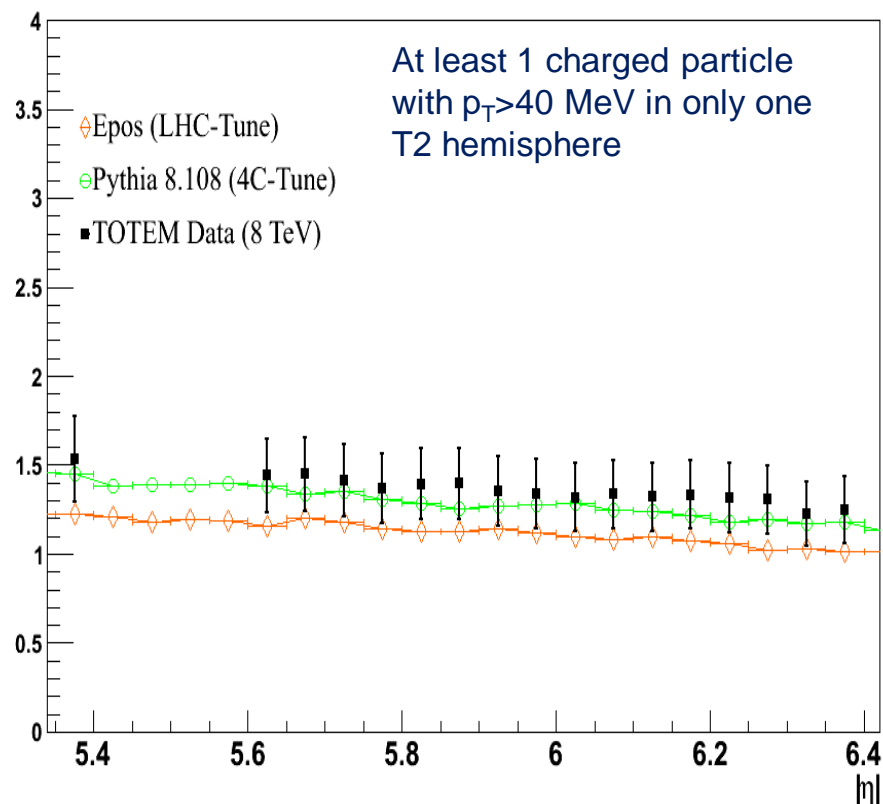
“Non-Single diffractive enhanced”: primary tracks in both T2 hemispheres

“Single diffractive enhanced”: primary tracks in only one T2 hemispheres

NSD-enhanced



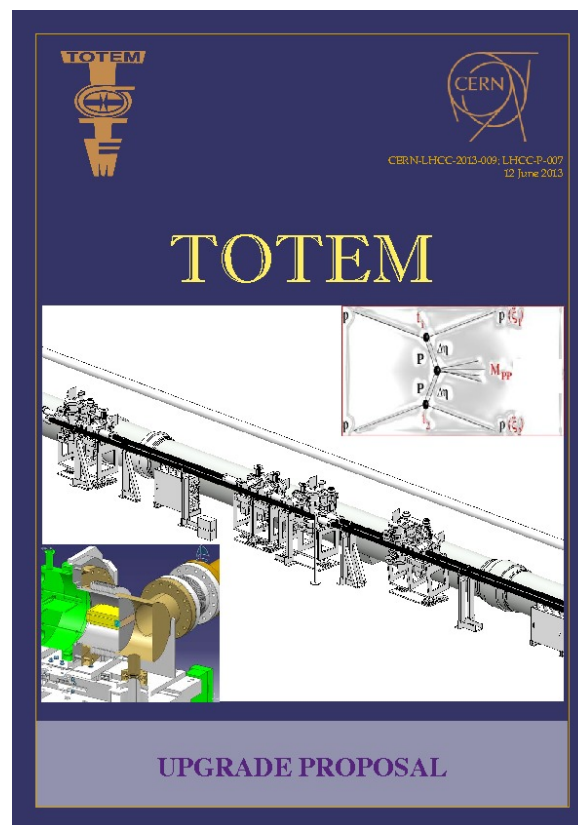
SD-enhanced



Updated analysis with a common $p_T = 0$ threshold ongoing in both CMS & TOTEM !

Outlook:

The TOTEM Consolidation and Upgrade Programme



Consolidation and Upgrade



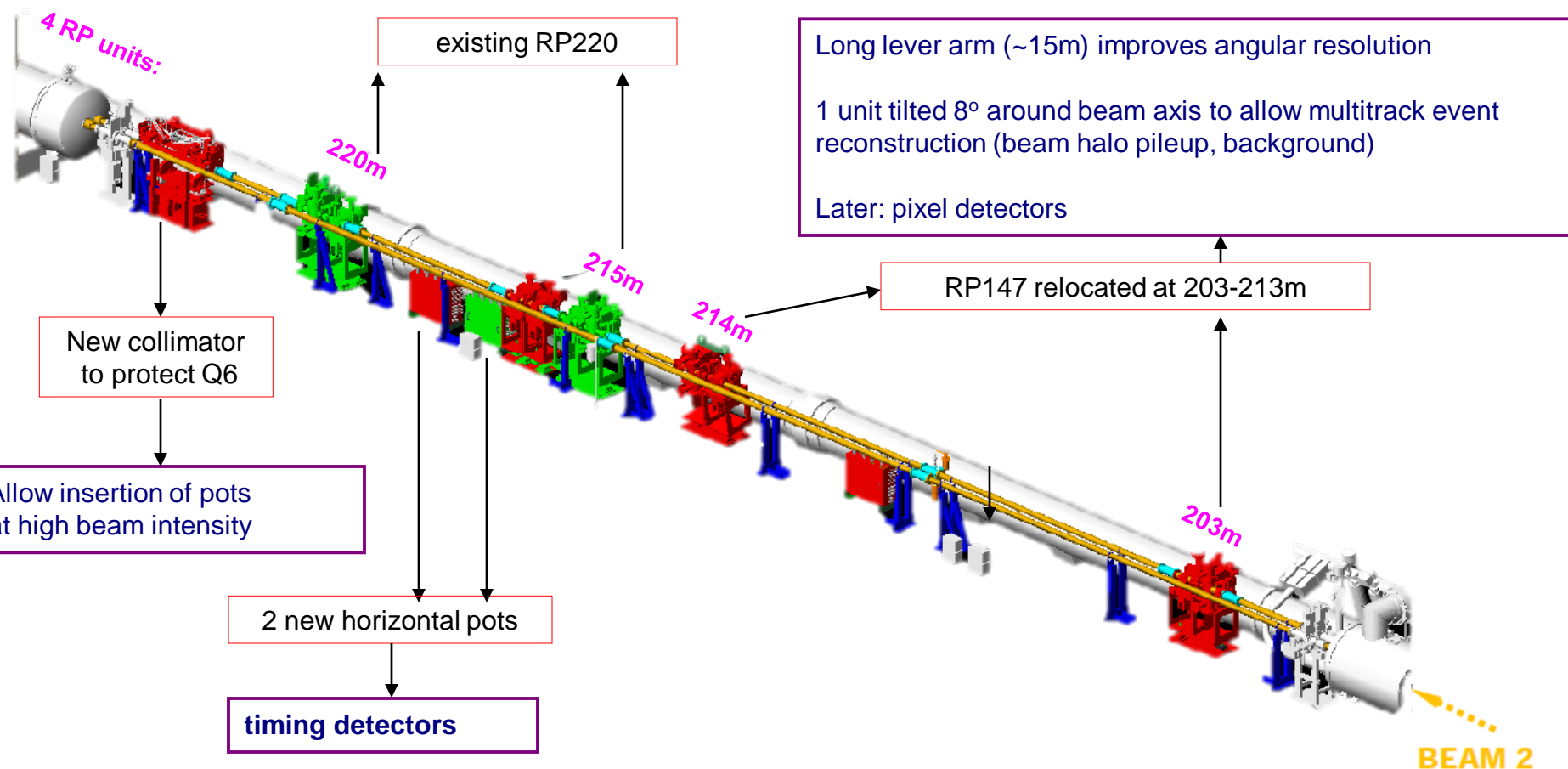
In 2012: successful data taking together with CMS in special runs

→ first studies of central production, diffractive dijets, other hard diffractive processes

Problems: limited statistics, pileup

→ upgrade RP system for operation at higher luminosities

→ resolve event pileup: timing measurement, multi-track resolution





Backup



Optics Corrections from Data



- Optics defined by the magnetic lattice elements \mathbf{T}_i between IP5 and RP:

$$\begin{pmatrix} x \\ \Theta_x \\ y \\ \Theta_y \end{pmatrix}_{\text{RP}} = \mathbf{T} \begin{pmatrix} x^* \\ \Theta_x^* \\ y^* \\ \Theta_y^* \end{pmatrix}_{\text{IP5}} \quad \text{with} \quad \mathbf{T} = \prod_{i=M}^1 [\mathbf{T}_i(k_i) + \Delta\mathbf{T}_i] = \begin{pmatrix} v_x & L_x & re_{13} & re_{14} \\ \frac{dv_x}{ds} & \frac{dL_x}{ds} & re_{23} & re_{24} \\ re_{31} & re_{32} & v_y & L_y \\ re_{41} & re_{42} & \frac{dv_y}{ds} & \frac{dL_y}{ds} \end{pmatrix}$$

- Magnet currents are continuously measured, but tolerances and imperfections lead to $\Delta\mathbf{T}_i$
 - Beam momentum offset ($\Delta p/p = 10^{-3}$)
 - Magnet transfer function error, $I \rightarrow B$, ($\Delta B/B = 10^{-3}$)
 - Magnet rotations and displacements ($\Delta\psi < 1\text{mrad}$, $\Delta x, \Delta y < 0.5\text{mm}$, WISE database)
 - Power converter errors, $k \rightarrow I$, ($\Delta I/I < 10^{-4}$)
 - Magnet harmonics ($\Delta B/B = O(10^{-4})$ @ $R_{\text{ref}} = 17\text{mm}$, WISE database)
- The elements of \mathbf{T} are correlated and cannot take arbitrary values
- The TOTEM RP measurements provide additional constraints:
 - single-beam constraints (position-angle correlations, x-y coupling)
 - two-beam constraints via elastic scattering (Θ_{left}^* vs. Θ_{right}^*)

→ Matching by a fit with 26 parameters (magnet strengths, rotations, beam energy) and 36 constraints.

→ Error propagation to relevant optical functions L_y (1%) and dL_x/ds (0.7%) $\Rightarrow \delta t / t \sim 0.8 - 2.6 \%$

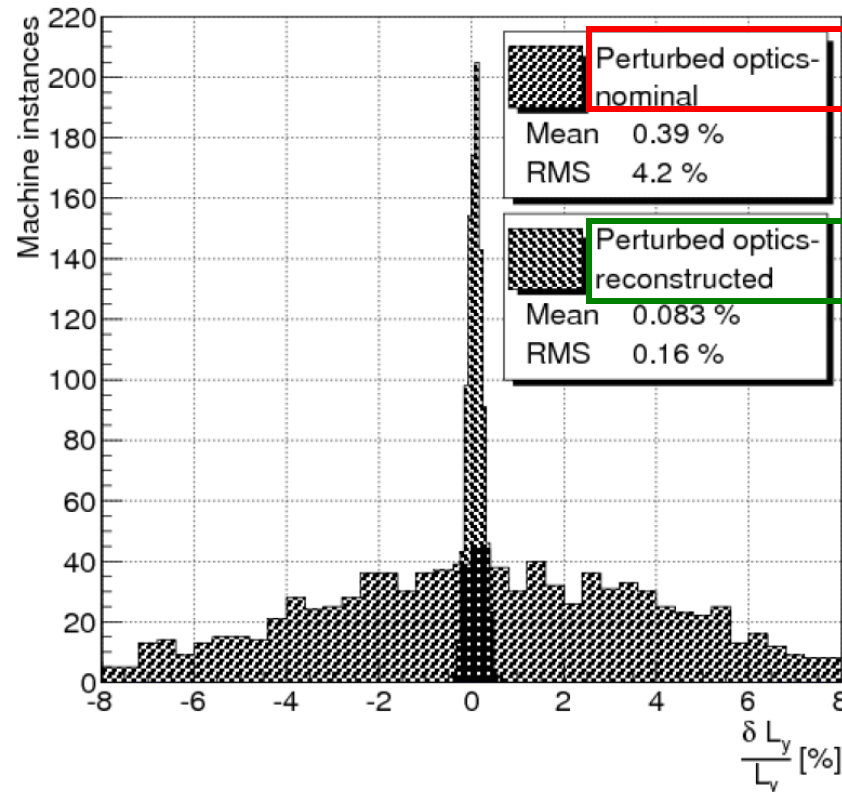
H. Niewiadomski: "Roman Pots for beam diagnostics", Optics Measurements, Corrections and Modelling for High-Performance Storage Rings workshop (OMCM) CERN, 20-23.06.2011.

H. Niewiadomski, F. Nemes: "LHC Optics Determination with Proton Tracks Measured in the Roman Pots Detectors of the TOTEM Experiment", IPAC'12, Louisiana, USA, 20-25.05.2012; arXiv:1206.3058 [physics.acc-ph]

Performance of Optics Corrections



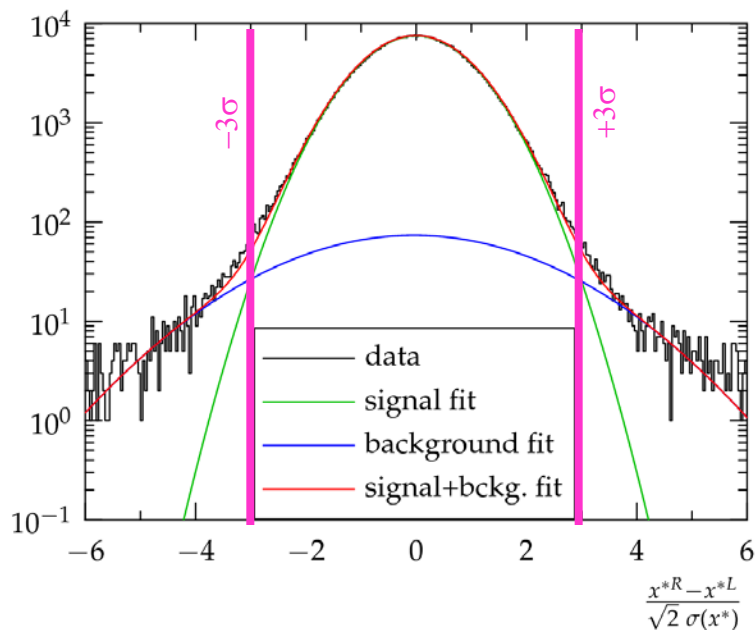
- Generate 1000 perturbed machines with imperfections ΔT_i within tolerances
→ determine deviations in optical functions from their design values
- Generate physics events, track the protons through the imperfect machines
→ simulated RP measurements
- Perform the optics reconstruction fit using the constraints from the simulated RP measurements
→ compare reconstructed and true (perturbed) optical functions



Analysis Overview I

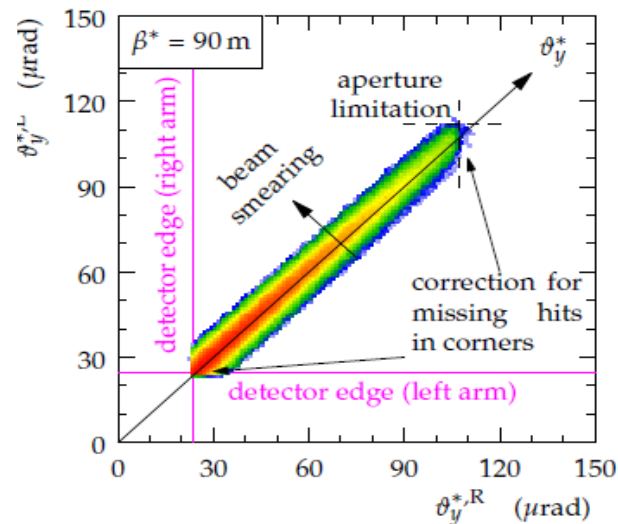
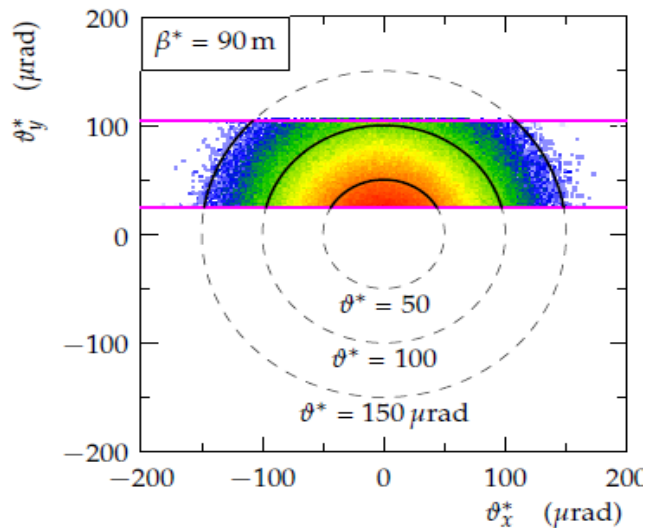


Background subtraction



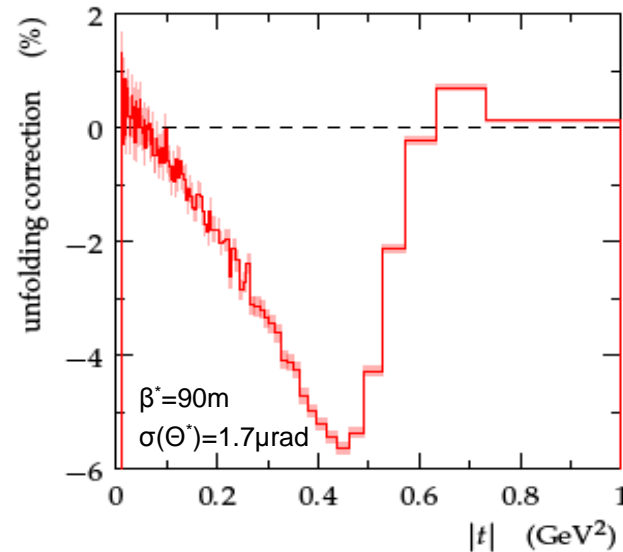
Use strongest cut (common vertex for both protons):
Interpolation of background population from outside 3σ into the signal region.

Acceptance correction





Unfolding of resolution effects



Efficiency (\rightarrow normalisation)

Trigger Efficiency (from zero-bias data stream)

> 99.8% (68% CL)

DAQ Efficiency

$(98.142 \pm 0.001) \%$

Reconstruction Efficiency

- intrinsic detector inefficiency:
- elastic proton lost due to interaction:
- event lost due to overlap with beam halo, depends on RP position
 \rightarrow advantage from 3 data sets, 2 diagonals

1.5 – 3 % / pot

1.5% / pot

4 – 8 %

Absolute Luminosity Calibration



$$\mathcal{L} = \frac{(1 + \rho^2)}{16\pi} \frac{(N_{el} + N_{inel})^2}{(dN_{el}/dt)_{t=0}}$$

7 TeV

June 2011: $\mathcal{L}_{\text{int}} = (1.65 \pm 0.07) \mu\text{b}^{-1}$ [CMS: $(1.65 \pm 0.07) \mu\text{b}^{-1}$]

October 2011: $\mathcal{L}_{\text{int}} = (83.7 \pm 3.2) \mu\text{b}^{-1}$ [CMS: $(82.0 \pm 3.3) \mu\text{b}^{-1}$]

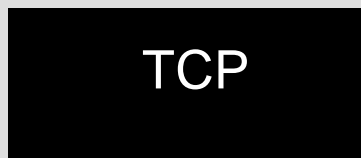
Excellent agreement with CMS luminosity measurement.

Absolute luminosity calibration for T2

Beam Cleaning with Primary Collimators (TCPs)

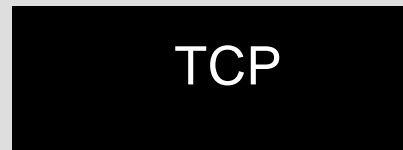


1. Scrape the beam with TCP at 2σ

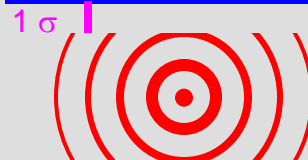


1σ
contour lines

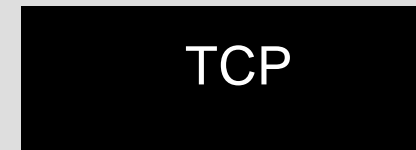
2. Retract TCP from 2σ to $2.5\sigma \rightarrow$ gap of 0.5σ



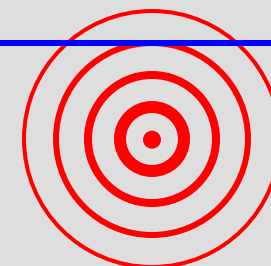
RP at 3σ is protected by the gap



3. Gap refills within $\sim 1h$



Scatter products from TCP edge hit the RP



Data Taking Periods as Seen by T2 and Roman Pots



T2 Trigger

(sees 70 mb inelastic cross-section)

→ luminosity candle

Roman Pot

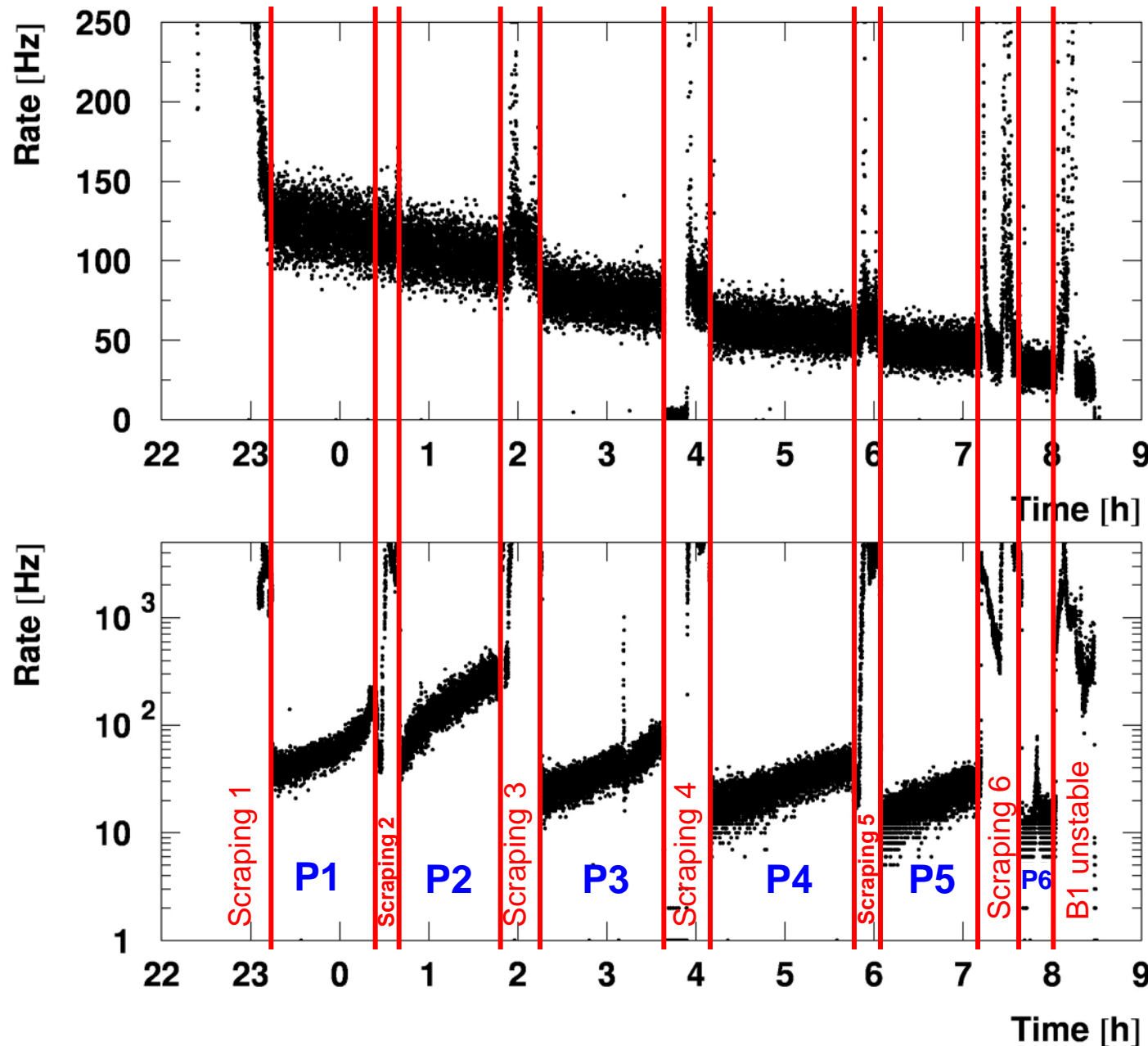
Double Arm Trigger

(Sector 45 AND Sector 56)

Total: 6.75 h in 6 periods

int. lumi.: $27 \mu\text{b}^{-1}$

400k elastic events



Hard Diffraction with CMS in 2012

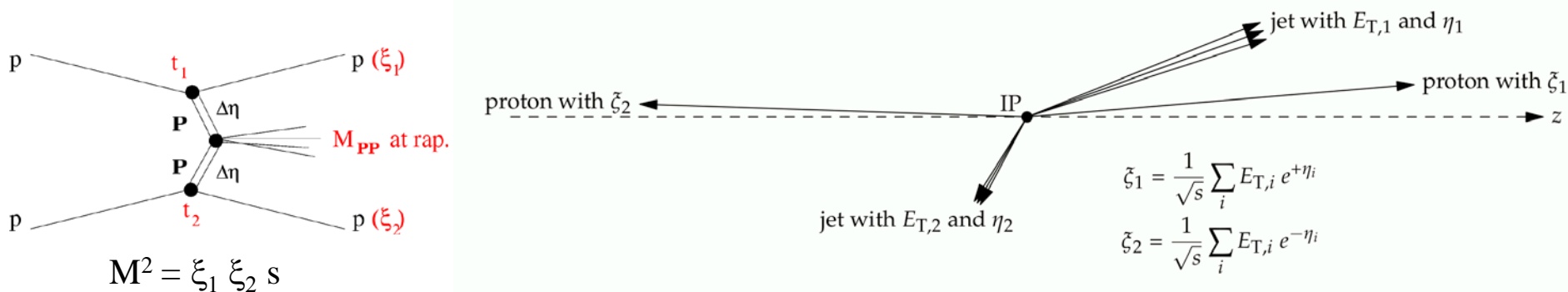


July 2012: $\beta^* = 90$ m, $\sqrt{s} = 8$ TeV:

mixed trigger:

CMS [dijet(20GeV) .or. di-muon .or. zero-bias] **.or.** **TOTEM** [T2 .or. RP double-arm]

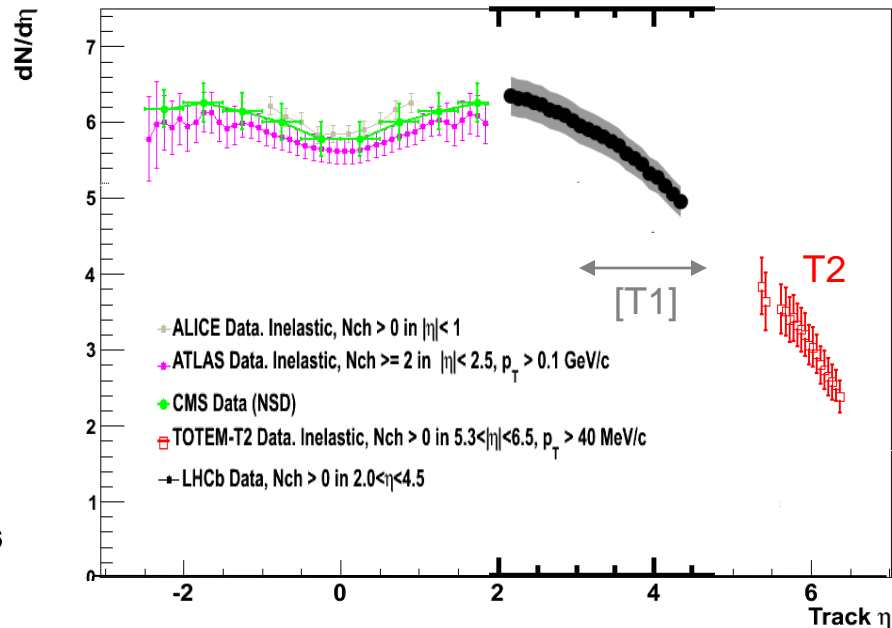
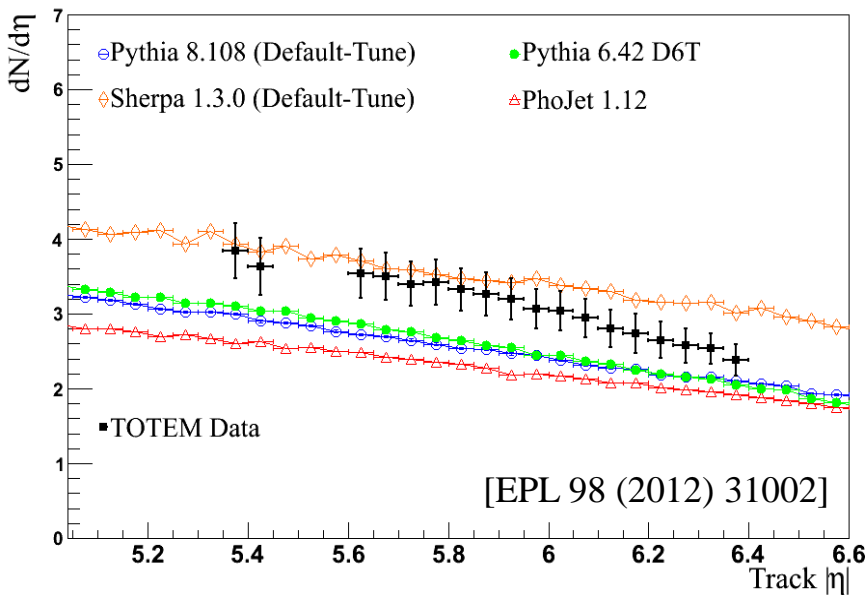
Study dijets in central diffraction:



Compare ξ_1, ξ_2 from RPs and from CMS :
kinematics of final state over-constrained

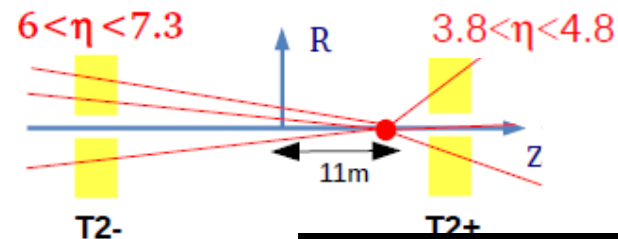
Analysis in progress

Charged Particle Pseudorapidity Density $dN / d\eta$



Analyses in progress:

- T1 measurement at 7 TeV ($3.1 < |\eta| < 4.7$)
- Parasitical collision at $\beta^* = 90$ m (7 July 2012)
 \rightarrow vertex at ~ 11 m \rightarrow shifted η acceptance:



$dN_{ch}/d\eta$ in T2: Analysis Highlights



Data sample:

events at low luminosity and low pile-up, triggered with T2 ($5.3 < |\eta| < 6.5$)

Selection:

at least one track reconstructed in T2

Primary particle definition:

charged particle with $t > 0.3 \times 10^{-10}$ s, $p_T > 40$ MeV/c

Primary particle selection:

- primary/secondary discrimination, data-driven
- based on reconstructed track parameters (Z_{Impact})

Primary track reconstruction efficiency:

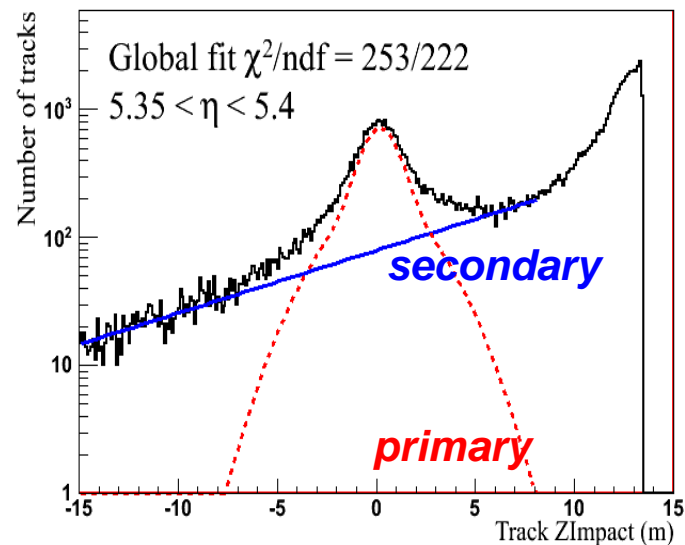
- evaluated as a function of the track η and multiplicity
- efficiency of 80%
- fraction of primary tracks within the cuts of 75% – 90% (η dependent)

Un-folding of (η) resolution effects:

MC driven bin “migration” corrections

Systematic uncertainties (< 10%):

dominated by primary track efficiency and global alignment correction uncertainty





Realisation of common running much earlier than ever anticipated

1. **Hardware:** fast electrical trigger cable from RP220 to CMS
→ trigger within CMS latency
2. **Trigger Logic:** bi-directional level-1 exchange → same events taken
3. **Synchronisation:** orbit number and bunch number in data streams
4. **Offline:**
 - common repository for independently reconstructed data
 - merging procedure → common n-tuples

Consolidation and Upgrade



In 2012: successful data taking together with CMS in special runs
→ first studies of central production, diffractive dijets, other hard diffractive processes

Problems: limited statistics, pileup

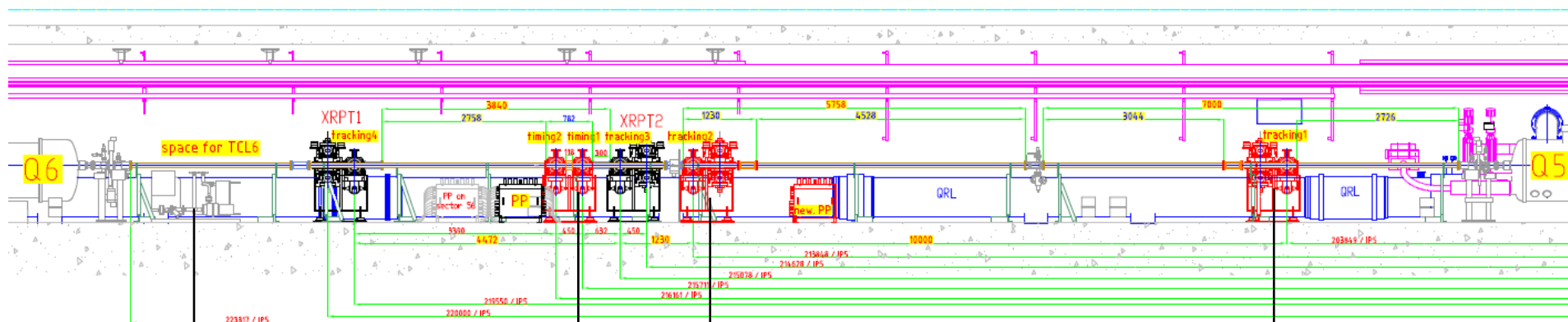
→ upgrade RP system for operation at higher luminosities

→ resolve event pileup: timing measurement, multi-track resolution

4 RP units : 220m

215m 214m

203 m



New collimator to protect Q6

2 new horizontal pots

RP147 relocated at 203-213m

Allow insertion of pots at high beam intensity

timing detectors

Long lever arm (~15m) improves angular resolution

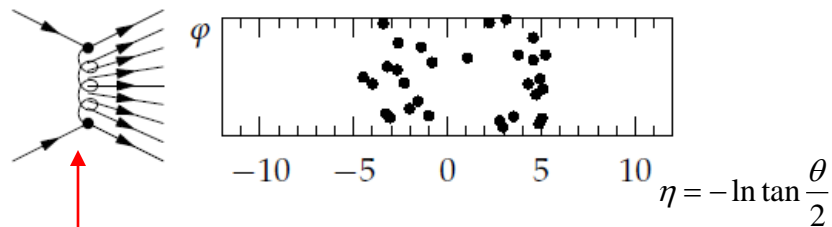
1 unit tilted around beam axis to improve multitrack event reconstruction (beam halo pileup, background)

Later: pixel detectors

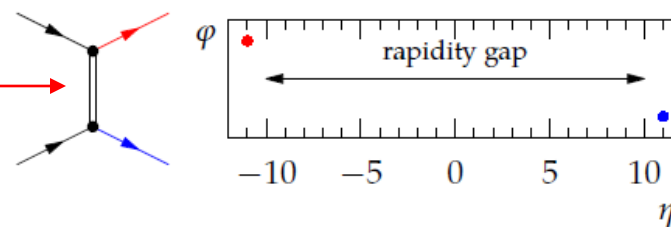
Classes of pp Events



Non-Diffractive process (ND) $\approx 60 \text{ mb}$ @ $\sqrt{s} = 7 - 8 \text{ TeV}$



Elastic Scattering (ES), $\approx 25 \text{ mb}$



Non-diffractive

Colour exchange

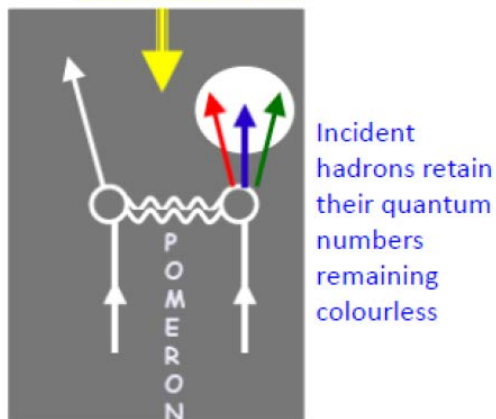
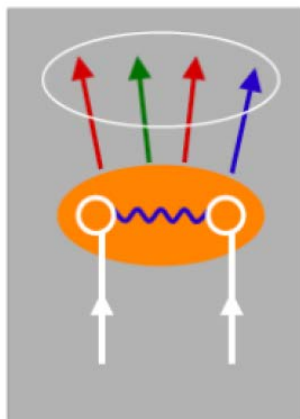
$$dN / d\Delta\eta = \exp(-\Delta\eta)$$

Diffractive

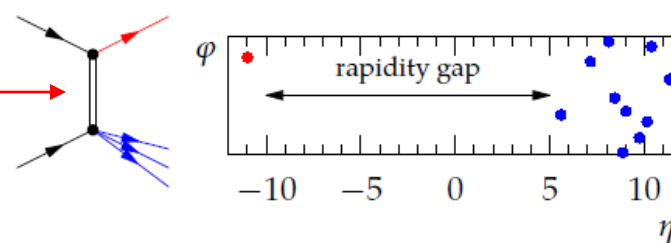
Colourless exchange with vacuum quantum numbers

$$dN / d\Delta\eta = \text{const}$$

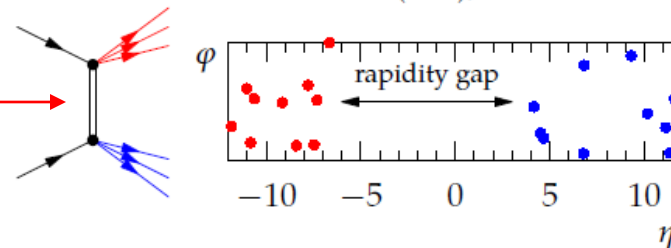
rapidity gap



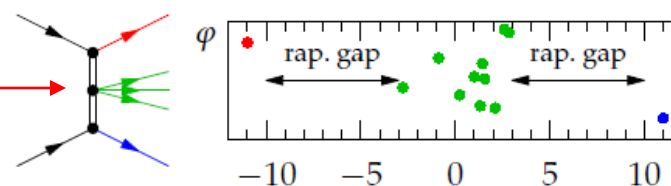
Single Diffraction (SD), $\approx 10 \text{ mb}$



Double Diffraction (DD), $\approx 5 \text{ mb}$



Central Diffraction (CD), $\approx 1 \text{ mb}$



→ Measure topologies and $\sigma(M, \xi, t)$
 Substantial fraction of particle and energy flow goes forward; often surviving protons.