#### Measurement of Beam Current



# The beam current is the basic quantity of the beam.

- ➤ It this the first check of the accelerator functionality
- > It has to be determined in an absolute manner
- ➤ Important for transmission measurement and to prevent for beam losses.

#### Different devices are used:

- Transformers: Measurement of the beam's magnetic field
  They are non-destructive. No dependence on beam energy
  They have lower detection threshold.
- Faraday cups: Measurement of the beam's electrical charges
  They are destructive. For low energies only
  Low currents can be determined.
- ➤ Particle detectors: Measurement of the particle's energy loss in matter

  Examples are scintillators, ionization chambers, secondary e− emission monitors

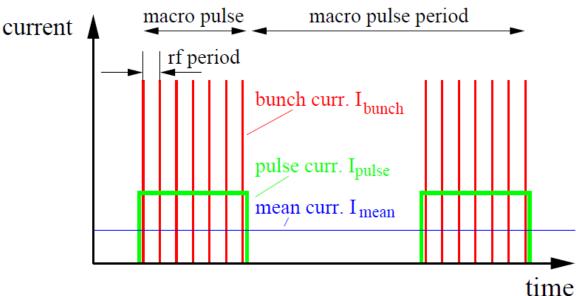
  Used for low currents at high energies e.g. for slow extraction from a synchrotron.

**Generally:** Beam instruments are mounted outside of rf cavities to prevent for electro-magnetic interference from the high field; only inside cyclotrons some BI.

## Beam Structure of a pulsed LINAC





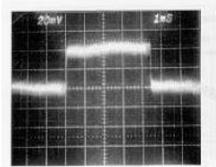


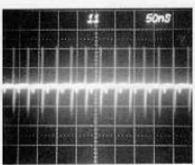
#### One distinguish between:

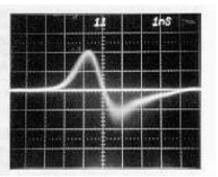
- $\triangleright$  Mean current  $I_{mean}$
- $\rightarrow$  long time average in [A]
- $\triangleright$  Pulse current  $I_{pulse}$
- $\rightarrow$  during the macro pulse in [A]
- ► Bunch current *I*<sub>bunch</sub>
- → during the bunch in [C/bunch] or [particles/bunch]

Remark: Van-de-Graaff (ele-static):

→ no bunch structure



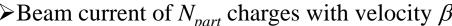




#### Example:

Pulse and bunch structure at GSI LINAC:

# Magnetic field of the beam and the ideal Transformer



Beam current of 
$$N_{part}$$
 charges with velocity  $\beta$ 

$$I_{beam} = qe \cdot \frac{N_{part}}{t} = qe \cdot \beta c \cdot \frac{N_{part}}{l}$$

- > cylindrical symmetry
- → only azimuthal component

$$\vec{B} = \mu_0 \frac{I_{beam}}{2\pi r} \cdot \vec{e_{\varphi}}$$

Example:  $I = 1 \mu A$ ,  $r = 10 \text{cm} \Rightarrow B_{heam} = 2 \text{pT}$ , earth  $B_{earth} = 50 \mu T$ 

Idea: Beam as primary winding and sense by sec. winding.

⇒ Loaded current transformer

$$I_1/I_2 = N_2/N_1 \Rightarrow I_{sec} = 1/N \cdot I_{beam}$$

 $\triangleright$  Inductance of a torus of  $\mu_r$ 

$$L = \frac{\mu_0 \mu_r}{2\pi} \cdot lN^2 \cdot \ln \frac{r_{out}}{r_{in}}$$

 $\geq \frac{2\pi}{\text{Goal of torus: Large inductance } L}$ and guiding of field lines.

Definition:  $U = L \cdot dI/dt$ 

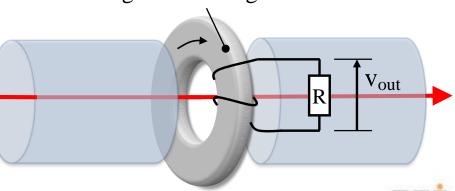
Torus to guide the magnetic field

magnetic field B

at radius r:

 $B \sim 1/r$ 

 $\overrightarrow{B} \parallel \overrightarrow{e}_{0}$ 

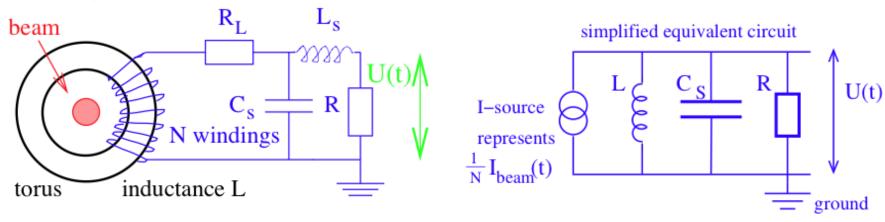




# Passive Transformer (or Fast Current Transformer FCT)

#### Simplified electrical circuit of a passively loaded transformer:

# passive transformer



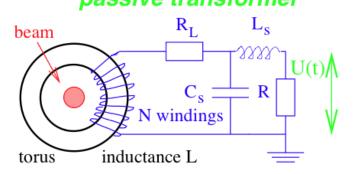
A voltages is measured:  $U = R \cdot I_{sec} = R / N \cdot I_{beam} \equiv S \cdot I_{beam}$  with S sensitivity [V/A], equivalent to transfer function or transfer impedance Z

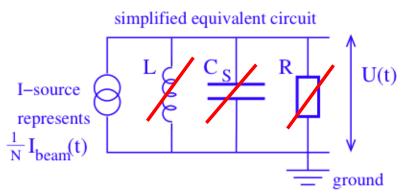
Equivalent circuit for analysis of sensitivity and bandwidth (disregarding the loss resistivity  $R_L$ )





#### Analysis of a simplified electrical circuit of a passively loaded transformer: passive transformer





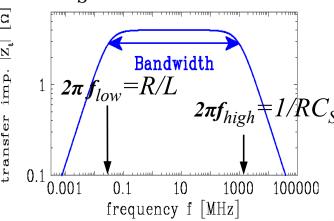
For this parallel shunt:

$$\frac{1}{Z} = \frac{1}{i\omega L} + \frac{1}{R} + i\omega C_S \Leftrightarrow Z = \frac{i\omega L}{1 + i\omega L/R - \omega L/R \cdot \omega RC_S}$$

$$\geq Low frequency \omega << R/L : Z \rightarrow i\omega L$$

- - i.e. no dc-transformation
- $\gt$  High frequency  $\omega \gt\gt 1/RC_S: Z\to 1/i\omega C_S$ 
  - i.e. current flow through  $C_{\varsigma}$
- $\triangleright$  Working region  $R/L < \omega < 1/RC_S : Z \simeq R$ 
  - i.e. voltage drop at R and sensitivity S=R/N.

No oscillations due to over-damping by low  $R = 50 \Omega$  to ground.



# Response of the Passive Transformer: Rise and Droop Time



 $2\pi f_{low} = R/L$   $2\pi f_{high} = I/RC_S$ 

#### Time domain description:

Droop time constant :  $\tau_{droop} = 1/(2\pi f_{low}) = L/R$ 

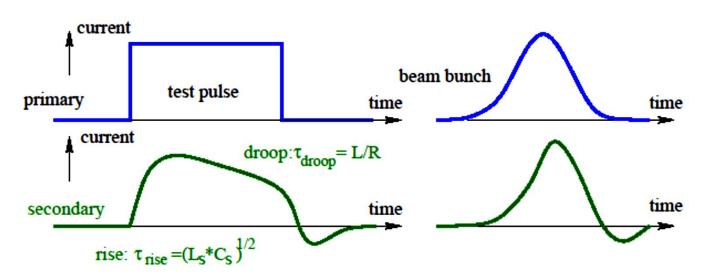
 $\tau_{rise} = 1/(2\pi f_{high}) = 1/(RC_S)$ Rise time constant:

(ideal without cables)

Rise time constant:  $\tau_{rise} = 1/(2\pi f_{high}) = \sqrt{L_S C_S}$  (with cables)

 $R_L$ : loss resistivity, R: for measuring.

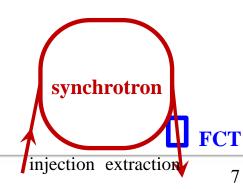
For the working region the voltage output is 
$$U(t) = \frac{R}{N} \cdot e^{-t/\tau_{droop}} \cdot I_{beam}^{\text{frequency f [MHz]}}$$



# Example for passive Transformer

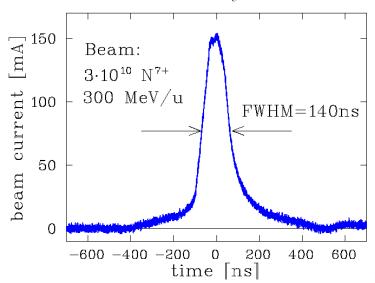
For bunch beams e.g. transfer between synchrotrons typical bandwidth of 2 kHz < f < 1 GHz  $\Leftrightarrow$  1 ns  $< t \approx 1/f < 200 \mu s$  is well suited Example GSI type:

Inner / outer radius	70 / 90 mm
Torus thickness	16 mm
Torus material	(CoFe) <sub>70%</sub> (MoSiB) <sub>30%</sub>
Permeability	$\mu_r \approx 10^5 \text{ for } f < 100 \text{kHz}$ $\mu_r \propto 1/f \text{ above}$
Windings	10
Sensitivity	4 V/A for $R = 50 \Omega$
Droop time $\tau_{droop} = L/R$	0.2 ms
Rise time $\tau_{\text{rise}} = \sqrt{L_S C_S}$	1 ns
Bandwidth	2 kHz 300 MHz





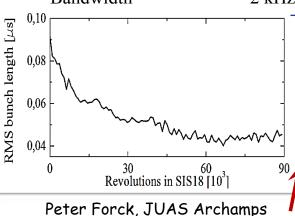
Fast extraction from GSI synchrotron:



# Example for passive Transformer

For bunch beams e.g. during accel. in a synchrotron typical bandwidth of 2 kHz < f < 1 GHz  $\Leftrightarrow 1 \text{ ns} < t \approx 1/f < 200 \text{ µs}$  is well suited *Example GSI type:* 

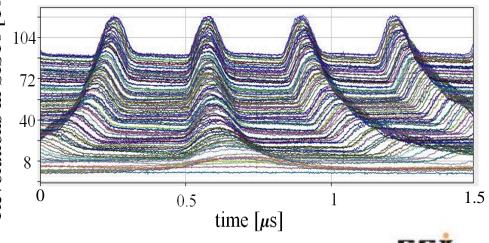
=		
Inner / outer radius	70 / 90 mm	•
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Windings	10	
Sensitivity	4 V/A for R = $50 \Omega$	
Droop time $\tau_{droop} = L/R$	0.2 ms	$\lceil 10^3 \rceil$
Rise time $\tau_{\text{rise}} = \sqrt{L_S C_S}$	1 ns	_
Bandwidth	2 kHz 300 MHz	SIS18
0		n SI



FCT synchrotron Synchrotron Exploration extraction



Example:  $U^{73+}$  from 11 MeV/u ( $\beta$ = 15 %) to 350 MeV/u within 300 ms (displayed every 0.15 ms)



Beam Current Measurement



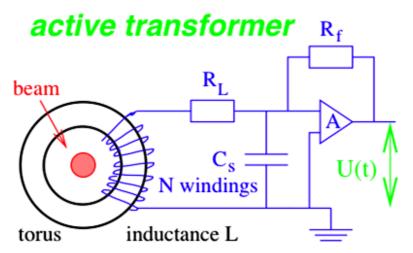


#### **Active Transformer or Alternating Current Transformer ACT:**

uses a trans-impedance amplifier (I/U converter) to  $R \approx 0 \Omega$  load impedance i.e. a current sink

- + compensation feedback
- $\Rightarrow$  longer droop time  $au_{droop}$

Application: measurement of longer  $t > 10 \mu s$  e.g. at pulsed LINACs



The input resistor is for an op-amp:  $R_{/\!\!/}A << R_L$ 

$$\Rightarrow au_{droop} = L/(R_f/A + R_L) \simeq L/R_L$$

Droop time constant can be up to 1 s!

The feedback resistor is also used for range switching.

An additional active feedback loop is used to compensate the droop.

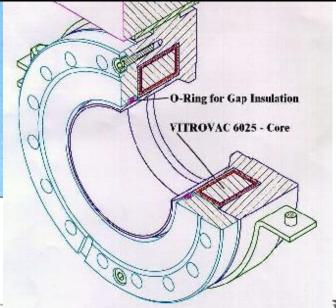
#### 'Active' Transformer Realization



Active transformer for the measurement of long t > 10 µs pulses e.g. at pulsed LINACs



**Torus inner radius**  $r_i=30 \text{ mm}$  $r_o=45 \text{ mm}$ **Torus outer radius** Core thickness *l*=25 mm Vitrovac 6025 Core material (CoFe)<sub>70%</sub> (MoSiB)<sub>30%</sub> **Core permeability**  $u_r = 10^5$ **Number of windings** 2x10 crossed Max. sensitivity  $10^6 \, \text{V/A}$ Beam current range  $10 \mu A$  to 100 mA**Bandwidth** 1 MHz 0.5 % for 5 ms Droop rms resolution  $0.2 \mu A$  for full bw



#### 'Active' Transformer Measurement



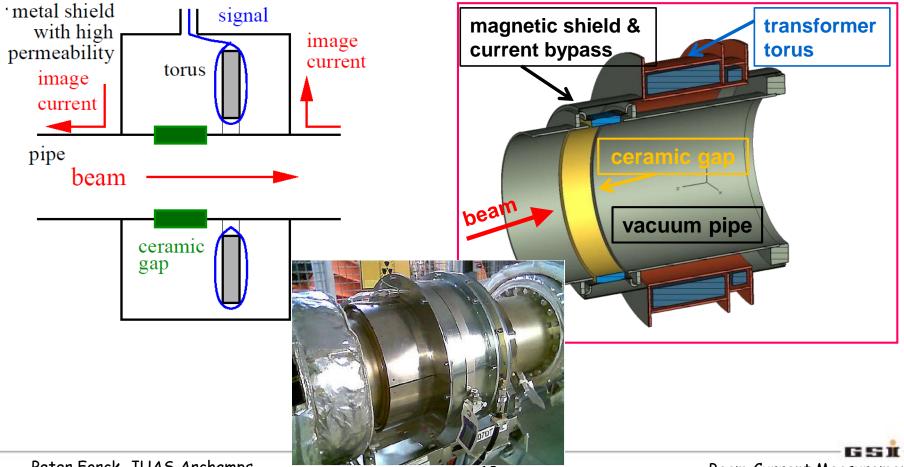
Active transformer for the measurement of long  $t > 10 \mu s$  pulses e.g. at pulsed LINACs **Example:** Transmission and macro-pulse **Example:** Multi-turn injection of a Ni<sup>26+</sup> shape for Ni<sup>2+</sup> beam at GSI LINAC beam into GSI Synchrotron, 5 µs per turn behind ion source 30 transfer line [mA] Transfer Line 20 8.0 0.6 10 0.4 0 5 0.2 behind charge separator 0.0 current [¥ 15 Synchrotron theoretical maximum measurement synchrotron G 01 2.5 behind RFQ-LINAC 2.0 stacking by multi-turn injection 1.5 1.0 **ACCT** 0.5 50 100 200 250 300 150 Time  $[\mu s]$ 0.0 synchrotron 200 400 600 0 time  $[\mu s]$ source → Transformer are frequently ACCT **ACCT** used for operation. injection extraction **LINAC RFO** 

# Shielding of a Transformer



#### Task of the shield:

- ➤ The image current of the walls have to be bypassed by a gap and a metal housing.
- This housing uses μ-metal and acts as a shield of external B-field (remember:  $I_{beam} = 1$  μA, r = 10 cm  $\Rightarrow B_{beam} = 2$ pT, earth field  $B_{earth} = 50$  μT)







#### Criteria:

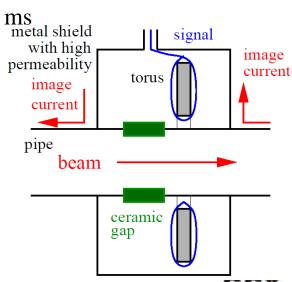
- 1. The output voltage is  $U \propto 1/N \Rightarrow$  low number of windings for large signal.
- 2. For a longer droop time, a large inductance L is required due to  $\tau_{droop} = L/R$ :  $L \propto N^2$  and  $L \propto \mu_r (\mu_r \approx 10^5 \text{ for amorphous alloy})$
- 3. For a large bandwidth the integrating capacitance  $C_s$  should be low  $\tau_{rise} = \sqrt{L_s C_s}$

#### Depending on applications the behavior is influenced by external elements:

- Passive transformer:  $R = 50 \ \Omega$ ,  $\tau_{rise} \approx 1$  ns for short pulses Application: Transfer between synchrotrons : 100 ns  $< t_{pulse} < 10 \ \mu s$
- Active transformer: Current sink by I/U-converter,  $\tau_{droop} \approx 1$  s for long pulses *Application:* macro-pulses at LINACs : 100 µs  $< t_{pulse} < 10$  ms metal shield

#### **General:**

- ➤ The beam pipe has to be intersected to prevent the flow of the image current through the torus
- ➤ The torus is made of 25 μm isolated flat ribbon spiraled to get a torus of ≈15 mm thickness, to have large electrical resistivity
- ➤ Additional winding for calibration with current source



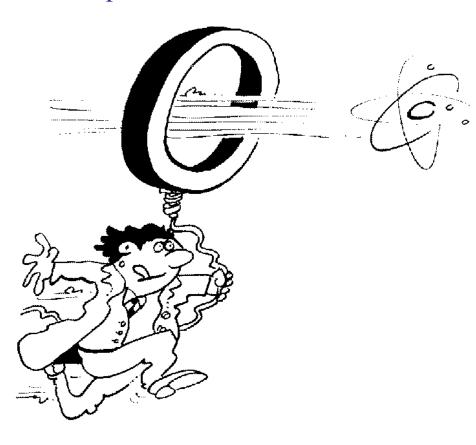
### The Artist' View of Transformers



#### The active transformer ACCT



## The passive, fast transformer FCT



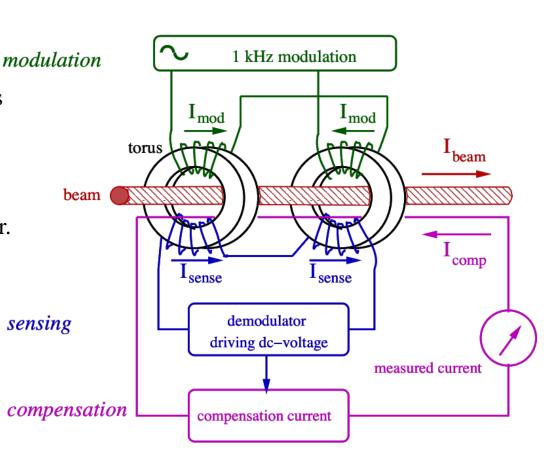
Cartoons by Company Bergoz, Saint Genis

#### The dc Transformer

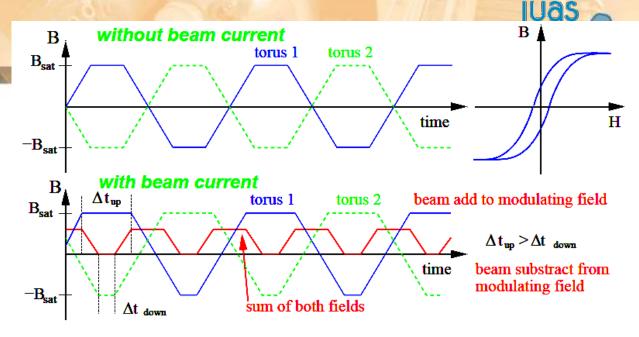


How to measure the DC current? The current transformer discussed sees only B-flux *changes*. The DC Current Transformer (DCCT)  $\rightarrow$  look at the magnetic saturation of two torii.

- ➤ **Modulation** of the primary windings forces both torii into saturation twice per cycle
- > Sense windings measure the modulation signal and cancel each other.
- $\triangleright$  But with the  $I_{beam}$ , the saturation is shifted and  $I_{sense}$  is not zero
- ightharpoonup Compensation current adjustable until  $I_{sense}$  is zero once again



#### The dc Transformer



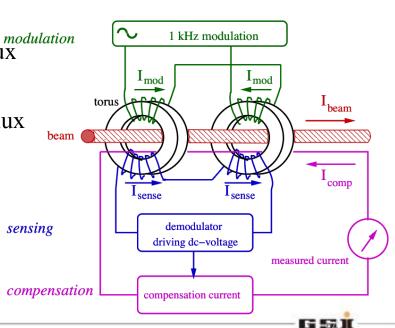
**➤** Modulation without beam:

typically about 1 kHz to saturation  $\rightarrow$  **no** net flux

➤ Modulation with beam:

saturation is reached at different times,  $\rightarrow$  net flux

- ➤ Net flux: double frequency than modulation
- ➤ Feedback: Current fed to compensation winding for larger sensitivity
- ➤ Two magnetic cores: Must be very similar.



#### The dc Transformer Realization



Example: The DCCT at GSI synchrotron (designed 1990 at GSI):

Core radii  $r_i = 135 \text{ mm}, r_o = 145 \text{mm}$ 

Core thickness 10 mm

Core material Vitrovac 6025: (CoFe)<sub>70%</sub> (MoSiB)<sub>30%</sub>

Core permeability  $\mu_r \simeq 10^5$ Saturation  $B_{sat} \simeq 0.6 \text{ T}$ Isolating cap  $Al_2O_3$ 

Number of windings 16 for modulation and sensing

12 for feedback

Ranges for beam current 300  $\mu$ A to 1 A

Resolution  $2 \mu A$ 

Bandwidth dc to 20 kHz

rise time  $20 \mu s$ 

Offset compensation  $\pm 2.5 \mu A$  in auto mode

 $< 15 \,\mu\text{A/day}$  in free run

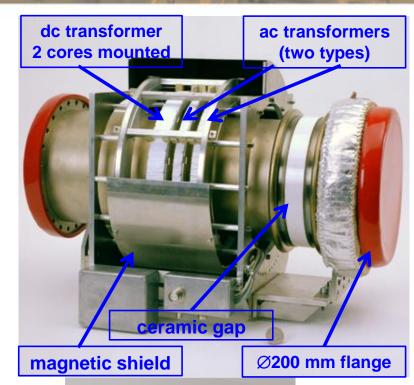
temperature coeff.  $1.5 \,\mu\text{A}/^{\circ}\text{C}$ 

Recent commercial product specification (Bergoz NPCT):

Most parameters are comparable the GSI-model

Temperature coefficient  $0.5 \,\mu\text{A}^{\circ}\text{C}$ 

Resolution  $\approx 10 \,\mu\text{A}$  (i.e. not optimized)







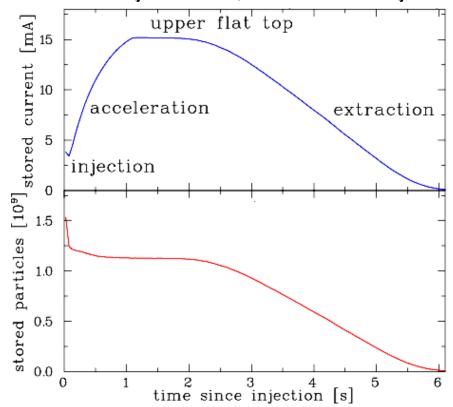


#### **Example:** The DCCT at GSI synchrotron:

 $\Rightarrow$  Observation of beam behavior with 20 µs time resolution  $\rightarrow$  most important operation tool.

*Example*: U<sup>73+</sup> accelerated from

11. 4 MeV/u (
$$\beta$$
 = 15.5%) to 750 MeV/u ( $\beta$  = 84 %)



#### **Important parameter:**

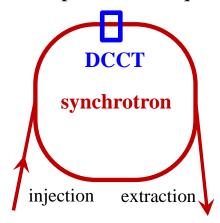
# Detection threshold: 1 μA (= resolution)

Bandwidth: dc to 20 kHz

Rise-time: 20 µs

Temperature drift:  $1.5 \,\mu\text{A}/^{0}\text{C}$ 

 $\Rightarrow$  compensation required.

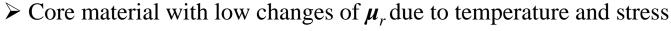


# Design Criteria and Limitations for a dc Transformer



Careful shielding against external fields with  $\mu$ -metal.

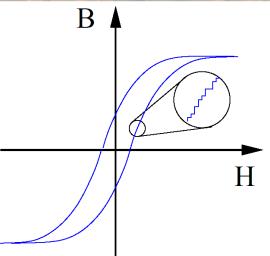
- ➤ High resistivity of the core material to prevent for eddy current
  - $\Rightarrow$  thin, insulated strips of alloy.
- ➤ Barkhausen noise due to changes of Weiss domains
  - $\Rightarrow$  unavoidable limit for **DCCT**.



- ⇒ low micro-phonic pick-up.
- $\triangleright$  Thermal noise voltage  $U_{eff} = \sqrt{4k_BT \cdot R \cdot f}$ 
  - $\Rightarrow$  design for only required bandwidth f, low input resistor R preferred.
- > Preventing for flow of secondary electrons through the core
  - ⇒ need for well controlled beam centering close to the transformer.
  - ⇒ The lowest measurable current:  $\approx 1$  µA for DCCT

 $\approx 30$  µA for FCT with 500 MHz bandwidth

 $\approx 0.3 \mu A$  for ACT with 1 MHz bandwidth.



#### The Artist' View of Transformers





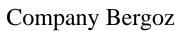


The passive, fast transformer FCT



The dc transformer DCCT

100,001



#### Measurement of Beam Current



# The beam current is the basic quantity of the beam.

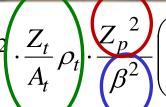
- ➤ It this the first check of the accelerator functionality
- ➤ It has to be determined in an absolute manner
- > Important for transmission measurement and to prevent for beam losses.

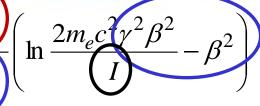
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- Transformers: Measurement of the beam's magnetic field
  They are non-destructive. No dependence on beam energy
  They have lower detection threshold.
- Faraday cups: Measurement of the beam's electrical charges
  They are destructive. For low energies only
  Low currents can be determined.
- ➤ Particle detectors: Measurement of the particle's energy loss in matter Examples are scintillators, ionization chambers, secondary e— emission monitors Used for low currents at high energies e.g. for slow extraction from a synchrotron.

# Excurse: Energy Loss of Ions in Copper

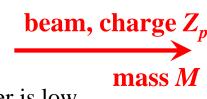
Bethe Bloch formula: 
$$-\frac{dE}{dx} = 4\pi N_A r_e m_e c^2 \left( \frac{Z_t}{A_t} \rho_t \right) \cdot \frac{\left( \frac{Z_p^2}{A_t^2} \right)}{\left( \frac{Z_p^2}{A_t^2} \right)} \left( \ln \frac{2m_e c^2 (\gamma^2 \beta^2)}{I} \right)$$

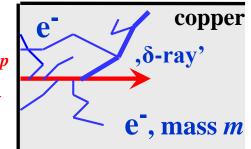




#### **Semi-classical approach:**

- > Projectiles of mass *M* collide
- with free electrons of mass *m*





- $\rightarrow$  If M >> m then the relative energy transfer is low
- ⇒ many collisions required many elections participate proportional to electron density  $n_e = \frac{Z_t}{\Delta_e} \rho_t$
- ⇒ low straggling for the heavy projectile i.e. 'straight trajectory'
- $\triangleright$  If projectile velocity  $\beta \approx 1$  low relative energy change of projectile ( $\gamma$  is Lorentz factor)
- *I* is mean ionization potential including kinematic corrections  $I \approx Z_t \cdot 10$  eV for most metals
- > Strong dependence an projectile charge  $Z_p$  as  $\frac{dE}{dx} \propto Z_p^2$
- Constants:  $N_A$  Advogadro number,  $r_e$  classical e radius,  $m_e$  electron mass, c velocity of light



# Excurse: Energy Loss of Ions in Copper

Bethe Bloch formula: 
$$-\frac{dE}{dx} = 4\pi N_A r_e m_e c^2 \cdot \frac{Z_t}{A_t} \rho_t \cdot \frac{Z_p^2}{\beta^2} \left( \ln \frac{2m_e c^2 \gamma^2 \beta^2}{I} - \beta^2 \right)$$

Range: 
$$R = \int_{0}^{E_{\text{max}}} \left(\frac{dE}{dx}\right)^{-1} dE$$

with approx. scaling  $R \propto E_{max}^{1.75}$ 

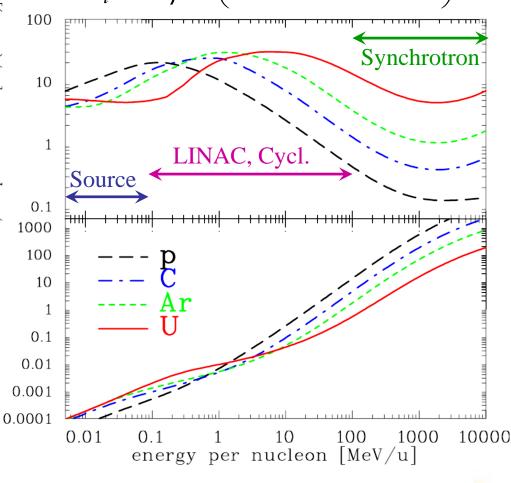
Numerical calculation

with semi-empirical model e.g. SRIM

Main modification  $Z_p o Z^{eff}_{\phantom{eff}p}(E_{kin})$ 

 $\Rightarrow$  Cups only for

 $E_{kin}$  < 100 MeV/u due to R < 10 mm



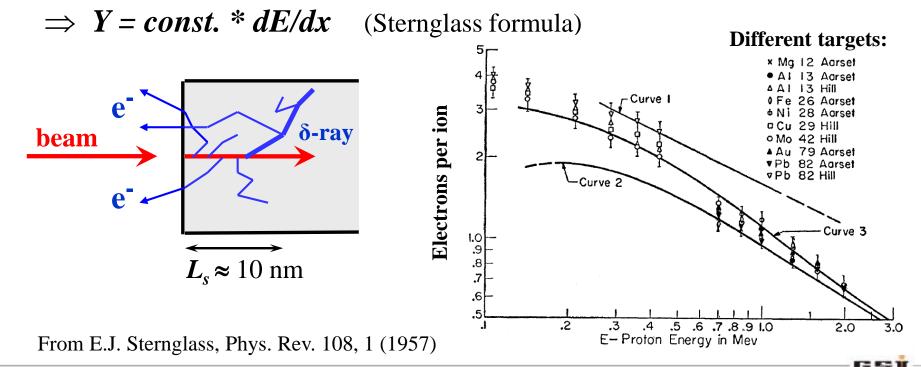


# Excurse: Secondary Electron Emission by Ion Impact

Energy loss of ions in metals close to a surface:

- Closed collision with large energy transfer:  $\rightarrow$  fast e with  $E_{kin} >> 100 \text{ eV}$
- Distant collision with low energy transfer  $\rightarrow$  slow e<sup>-</sup> with  $E_{kin} \le 10 \text{ eV}$
- $\rightarrow$  'diffusion' & scattering with other e<sup>-</sup>: scattering length  $L_s \approx 1$  10 nm
- $\rightarrow$  at surface  $\approx 90$  % probability for escape

Secondary electron yield and energy distribution comparable for all metals!





# Excurse: Secondary Electron Emission by Ion Impact

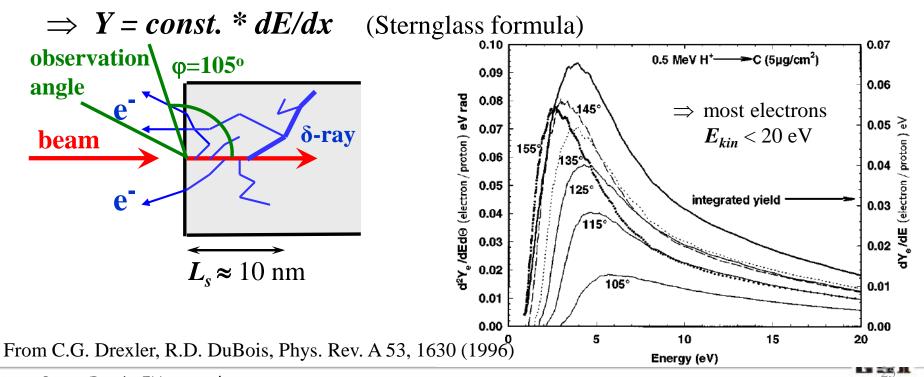
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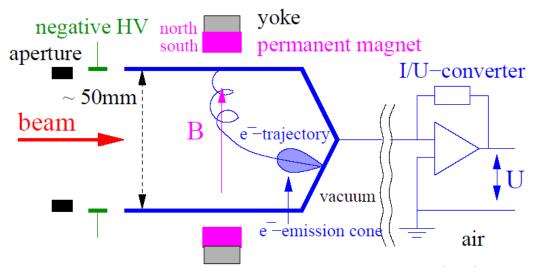


# Faraday Cups for Beam Charge Measurement



The beam particles are collected inside a metal cup

 $\Rightarrow$  The beam's charge are recorded as a function of time.



Currents down to 10 pA with bandwidth of 100 Hz!

#### Magnetic field:

To prevent for secondary electrons leaving the cup *and/or* 

#### **Electric field:**

Potential barrier at the cup entrance.

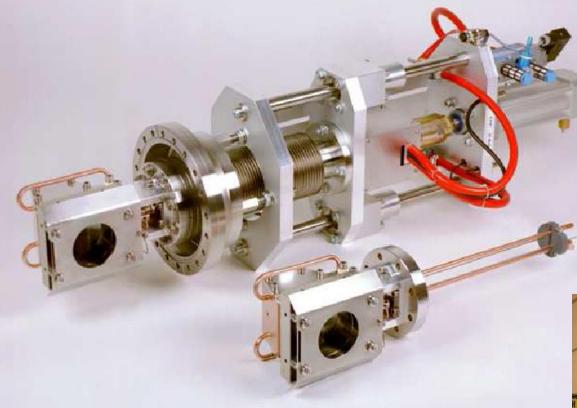
The cup is moved in the beam pass → destructive device

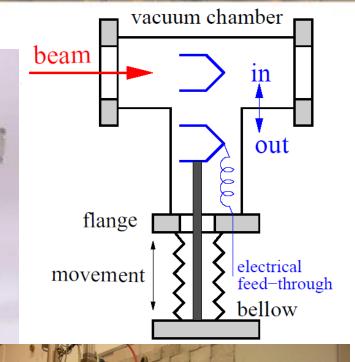


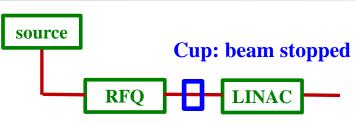
# Realization of a Faraday Cup at GSI LINAC









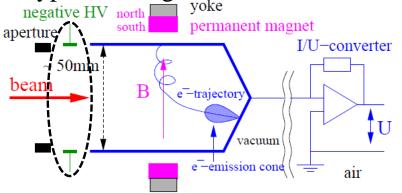




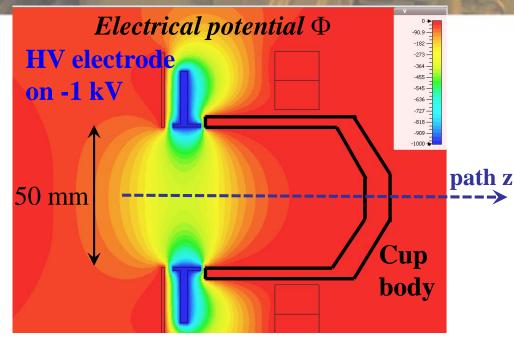


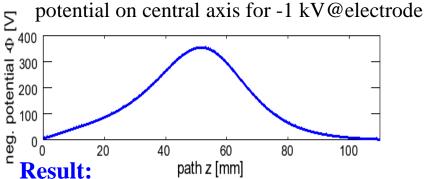
A ring shaped electrode is used at the entrance of Faraday Cup:

Typical voltage 100 to 1000 V









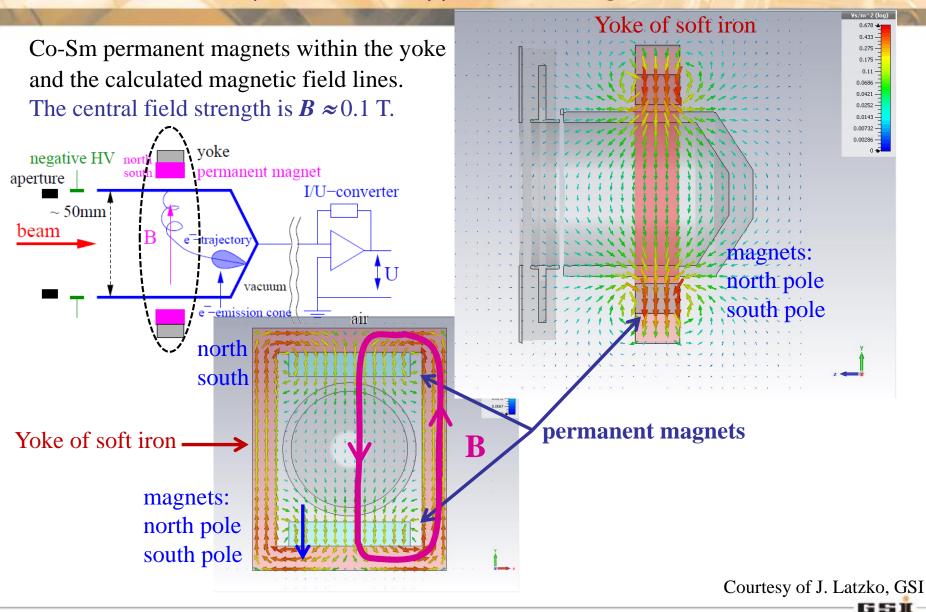
here: potential at center ≈ 35 % of applied voltage

Courtesy of J. Latzko, GSI

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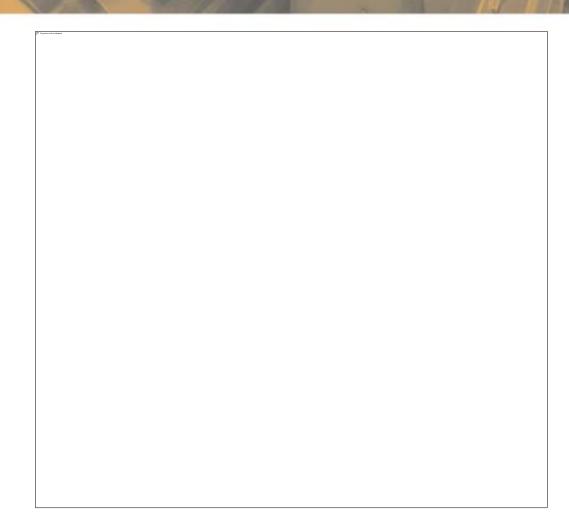


# Secondary Electron Suppression: Magnetic Field





# The Artist' View of Faraday Cup



Company Bergoz





Bethe Bloch formula: 
$$-\frac{dE}{dx} = 4\pi N_A r_e m_e c^2 \cdot \frac{Z_t}{A_t} \rho_t \cdot \frac{Z_p^2}{\beta^2} \left( \ln \frac{2m_e c^2 \gamma^2 \beta^2}{I} - \beta^2 \right)$$

Range: 
$$R = \int_{0}^{E_{\text{max}}} \left(\frac{dE}{dx}\right)^{-1} dE$$

with approx. scaling  $R \propto E_{max}^{1.75}$ 

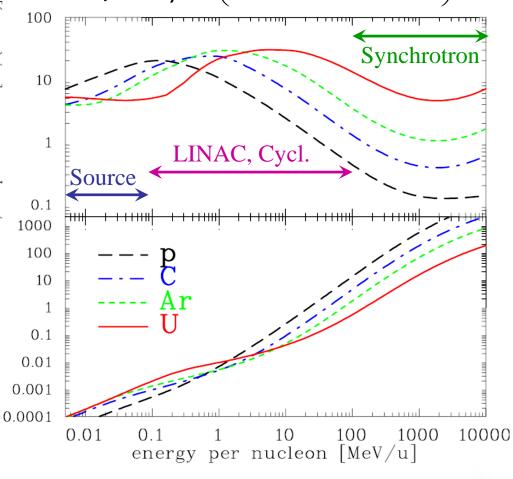
Numerical calculation

with semi-empirical model e.g. SRIM

Main modification  $Z_p o Z^{eff}_{\phantom{eff}p}(E_{kin})$ 

 $\Rightarrow$  Cups only for

 $E_{kin}$  < 100 MeV/u due to R < 10 mm



# Faraday Cups for high Intensity Ion Beam - Surface Heating



The heating of material has to be considered, given by the energy loss. The cooling is done by radiation due to Stefan-Boltzmann:  $P_r = \varepsilon \sigma T^4$ 

**Example:** Beam current: 11.4 MeV/u Ar<sup>10+</sup> with 10 mA and 1 ms beam delivery

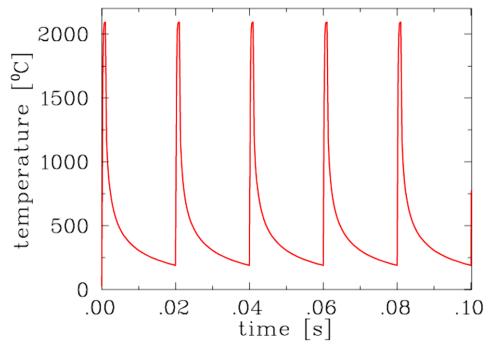
Beam size: 5 mm FWHM  $\rightarrow$  23 kW/mm<sup>2</sup>,  $P_{peak} = 450$  kW total power during 1ms delivery

Foil: 1 µm Tantalum, emissivity  $\varepsilon = 0.49$ 

Temperature increase:

 $T > 2000 \, ^{0}C$  during beam delivery

Even for low average power, the material should survive the peak power!



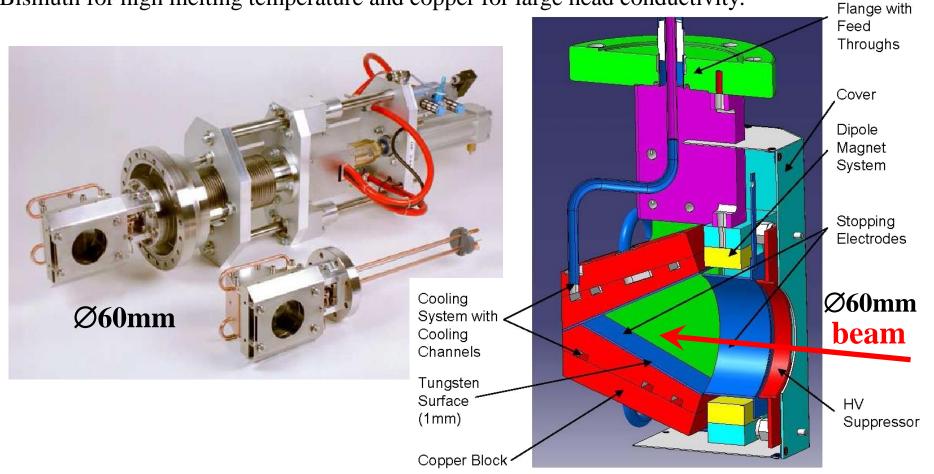
# High Power Faraday Cups



Connecting

### Cups designed for 1 MW, 1 ms pulse power → cone of Tungsten-coated Copper

Bismuth for high melting temperature and copper for large head conductivity.

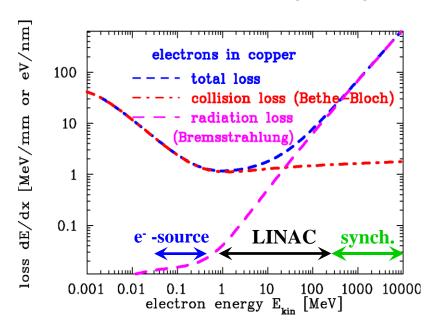


# Energy Loss of Electrons in Copper & Faraday Cups of e-

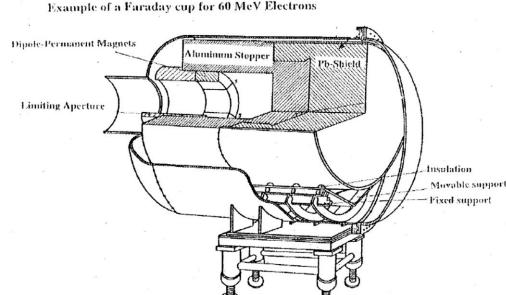


Collisional loss by Bethe-Bloch formula  $dE/dx \mid_{col} \propto f(E_{kin}) \cdot Z_t$  is valid for all charged particles. However, radiation loss  $dE/dx \mid_{rad}$  by Bremsstrahlung (i.e.  $\gamma$ -rays of some MeV) dominates for energies above  $E_{kin} > 10$  MeV with the scaling  $dE/dx \mid_{rad} \propto E_{kin} \cdot Z_t^2$ .

Moreover, e- shows much larger longitudinal and transverse straggling.



Minimum of Bethe-Bloch  $dE/dx/_{col}$ roughly at  $E_{kin} \approx m_0 c^2 = 511$  keV (rest mass)  $\Leftrightarrow \beta \approx 90 \%$  and  $\gamma = \frac{1}{\sqrt{1-\beta^2}} \approx 2$ 



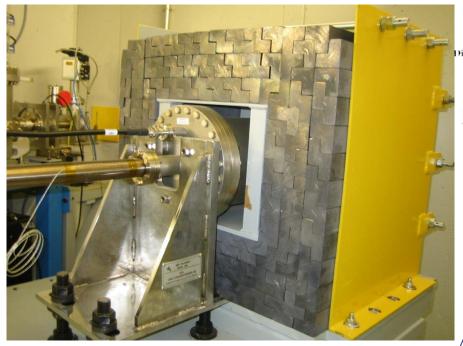
Al stopper: Stopping of e<sup>-</sup> gently in low-Z material Pb-shield: Absorption of Bremsstrahlungs-γ ⇒ Used as beam dump

# Energy Loss of Electrons in Copper & Faraday Cups of e-

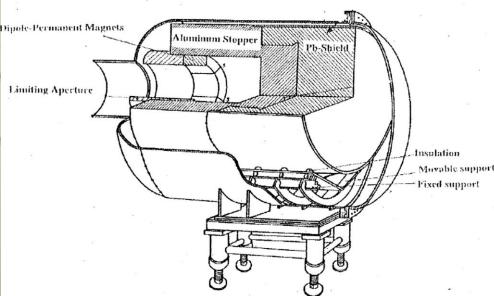
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Collisional loss by Bethe-Bloch formula  $dE/dx \mid_{col} \propto f(E_{kin}) \cdot Z_t$  is valid for all charged particles. However, radiation loss  $dE/dx \mid_{rad}$  by Bremsstrahlung (i.e.  $\gamma$ -rays of some MeV) dominates for energies above  $E_{kin} > 10$  MeV with the scaling  $dE/dx \mid_{rad} \propto E_{kin} \cdot Z_t^2$ .

Moreover, e- shows much larger longitudinal and transverse straggling.



Faraday Cup at ALBA used as beam dump From U. Iriso (ALBA)



Example of a Faraday cup for 60 MeV Electrons

Al stopper: Stopping of e⁻ gently in low-Z material Pb-shield: Absorption of Bremstrahlungs-γ ⇒ Used as beam dump

#### Measurement of Beam Current



# The beam current is the basic quantity of the beam.

- ➤ It this the first check of the accelerator functionality
- ➤ It has to be determined in an absolute manner
- > Important for transmission measurement and to prevent for beam losses.

#### Different devices are used:

- ➤ **Transformers:** Measurement of the beam's **magnetic field**They are non-destructive. No dependence on beam energy
  They have lower detection threshold.
- Faraday cups: Measurement of the beam's electrical charges
  They are destructive. For low energies only
  Low currents can be determined.
- ➤ Particle detectors: Measurement of the particle's energy loss in matter

  Examples are scintillators, ionization chambers, secondary e− emission monitors

  Used for low currents at high energies e.g. for slow extraction from a synchrotron.





Slow extraction from synchrotron: lower current compared to LINAC, but higher energies and larger range R >> 1 cm.

**Particle counting:** 

max:  $r \simeq 10^6 \text{ 1/s}$ 

> Energy loss in gas (IC):

min:  $I_{sec} \approx 1 \text{ pA}$ 

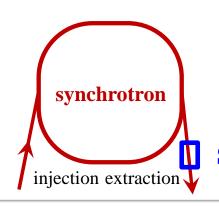
max:  $I_{sec} \approx 1 \, \mu A$ 

> Sec. e- emission:

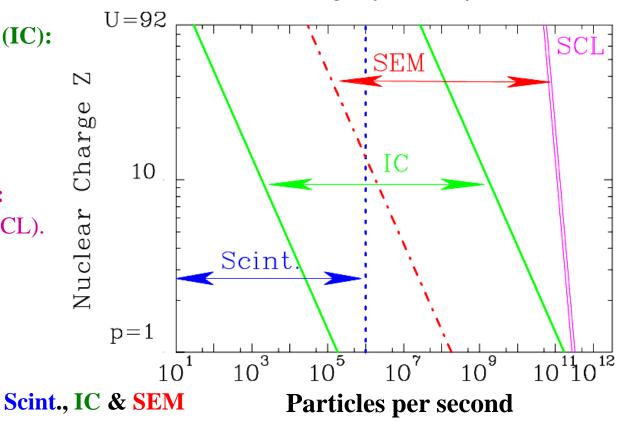
min:  $I_{sec} \approx 1 \text{ pA}$ 

➤ Max. synch. filling:

Space Charge Limit (SCL).



Particle detector technologies for ions of 1 GeV/u,  $A = 1 \text{ cm}^2$ :



## Example of Scintillator Counter



Example: Plastic Scintillator i.e. organic fluorescence molecules in a plastic matrix

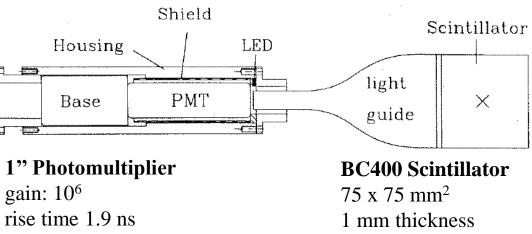
Here: BC 400 (emission  $\lambda_{max} = 420$  nm, pulse width  $\approx 3$  ns + cable dispersion, size )

**Advantage:** any mechanical from, cheap, blue wave length, fast decay time

**Disadvantage**: not radiation hard

Particle counting: Photomultiplier  $\rightarrow$  discriminator  $\rightarrow$  scalar  $\rightarrow$  computer





max. average count rate  $3.10^6$  1/s





### Electronic solid state amplifier have finite noise contribution

Theoretical limit:  $U_{eff} = \sqrt{4k_B \cdot R \cdot \Delta f \cdot T}$ 

Signal-to-Noise ratio limits the minimal detectable current

Idea: Amplification of single particles with photo-multiplier, sec. e<sup>-</sup> multiplier or MCPs

and particle counting typically up to  $\approx 10^6 \text{ 1/s}$ 

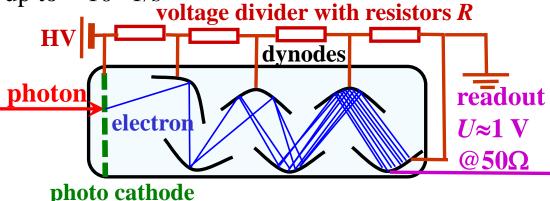
Scheme of a photo-multiplier:

> Photon hits photo cathode

Secondary electrons are acc. to next dynode  $\Delta U \approx 100 \text{ V}$ 

> Typ. 10 dynodes  $\Rightarrow$  10<sup>6</sup> fold amplification

**Advantage:** no thermal noise due to electro static acceleration Typical 1 V signal output





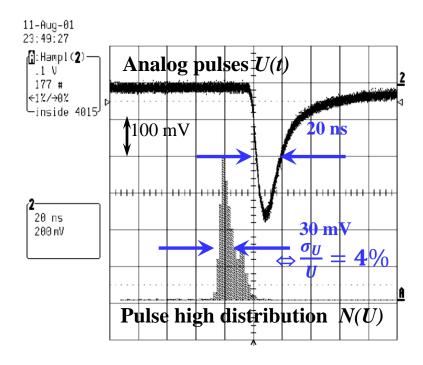
## Properties of a good Scintillator



#### Properties of a good scintillator:

- ➤ Light output linear to energy loss
- $\triangleright$  Fast decay time  $\rightarrow$  high rate
- ➤ No self-absorption
- Wave length of fluorescence  $350 \text{ nm} < \lambda < 500 \text{ nm}$
- ➤ Index of refractivity  $n \approx 1.5$ → light-guide
- Radiation hardness
   e.g. Ce-activated inorganic
   are much more radiation hard.

Analog pulses from a plastic sc. with a low current 300 MeV/u Kr beam.



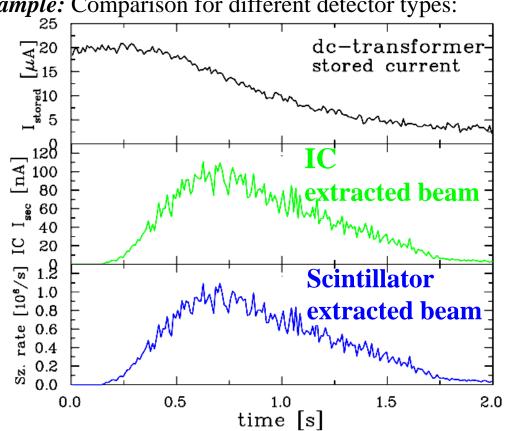
The scaling is 20 ns/div and 100 mV/div.

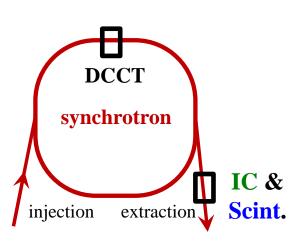




#### Slow extraction from a synchrotron delivers countable currents

**Example:** Comparison for different detector types:



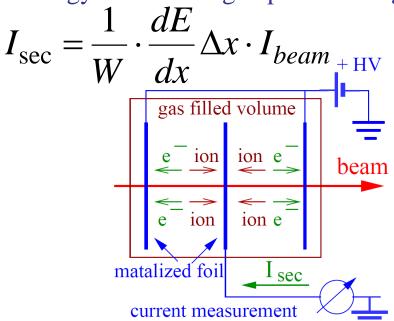


Parameters: dc-transformer inside the synch., ionization chamber and scintillator for a 250 MeV/u Pb $^{67+}$  beam with a total amount of  $10^6$  particles.

## Ionization Chamber (IC): Electron Ion Pairs



Energy loss of charged particles in gases  $\rightarrow$  electron-ion pairs  $\rightarrow$  low current meas.



Example: GSI type:

diameter	Ø55 mm
	Length $\Delta x$ $2x \ 3.2 \ mm$ Voltage: $U_{HV} = 1 \ kV$
Gas: 80% Ar +	

W-value is the average energy for one e<sup>-</sup> -ion pair:

Gas	Ionization Pot.	W-value
Не	24.5 eV	42.7 eV
$N_2$	15.5 eV	36.4 eV
$O_2$	12.5 eV	32.2 eV
Ar	15.7 eV	26.3 eV
$CO_2$	13.7 eV	33.0 eV

#### GSI realization:

- $\triangleright$  Energy calculation dE/dx with SRIM or LISE
- Current measurement via current-to-frequency converter IFC

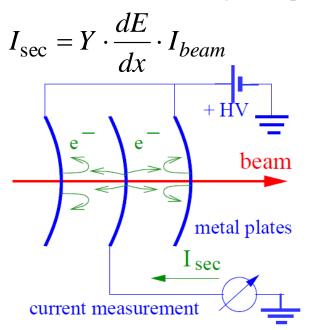
# Secondary Electron Monitor (SEM): Electrons from Surface



For higher intensities SEMs are used.

Due to the energy loss, secondary e<sup>-</sup> are emitted from a metal surface.

The amount of secondary e<sup>-</sup> is proportional to the energy loss



It is a *surface* effect:

- → Sensitive to cleaning procedure
- → Possible surface modification by radiation

Example: GSI SEM type:

Material	Pure Al (≈ 99.5%)
# of electrode	3
Active surface	80 x 80 mm <sup>2</sup>
Distance between electrodes	5 mm
Applied voltage	+ 100 V

Advantage for Al: good mechanical properties.

**Disadvantage:** Surface effect!

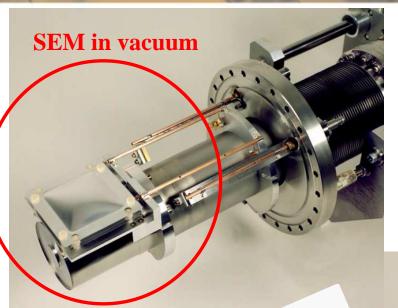
e.g. decrease of yield Y due to radiation

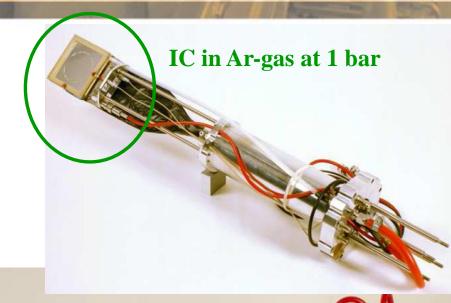
 $\Rightarrow$  calibration versus IC required to reach 5%.

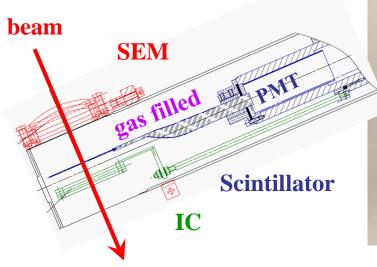
Sometimes they are installed permanently in front of an experiment.

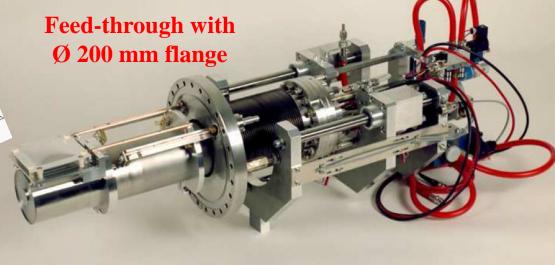
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## GSI Installation for SEM, IC and Scintillator









P. Forck et al., DIPAC'97

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## Summary for Current Measurement



### Current is the basic quantity for accelerators!

#### *Transformer:* → measurement of the beam's magnetic field

- > magnetic field is guided by a high μ toroid
- > types: passive (large bandwidth), active (low droop) and dc (two toroids + modulation)
- $\triangleright$  lower threshold by magnetic noise: about  $I_{beam} > 1 \,\mu\text{A}$
- ➤ non-destructive, used for all beams

#### Faraday cup: $\rightarrow$ measurement of beam's charge

- $\triangleright$  low threshold by I/U-converter:  $I_{beam} > 10 \text{ pA}$
- > totally destructive, used for low energy beams

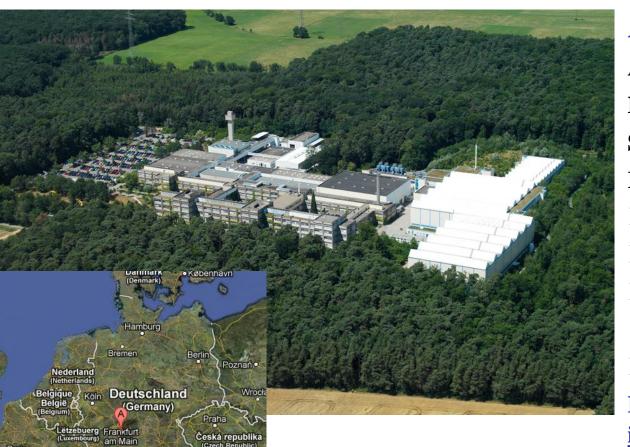
#### Scintillator, $\rightarrow$ measurement of the particle's energy loss

- *IC*, *SEM*: ➤ particle counting (Scintillator)
  - > secondary current: IC from gas ionization or SEM sec. e emission surface
  - > no lower threshold due to single particle counting
  - > partly destructive, used for high energy beams

## Appendix: GSI Heavy Ion Research Center



#### German national heavy ion accelerator facility in Darmstadt



#### **Accelerators:**

**Acceleration of all ions** 

**LINAC:** up to 15 MeV/u

**Synchrotron:** up to 2 GeV/u

Research area:

 $\triangleright$  Nuclear physics  $\approx 60 \%$ 

 $\triangleright$  Atomic physics  $\approx 20 \%$ 

➤ Bio physics (e.g. cell damage) incl. cancer therapy ≈ 10 %

➤ Material research ≈ 10 %

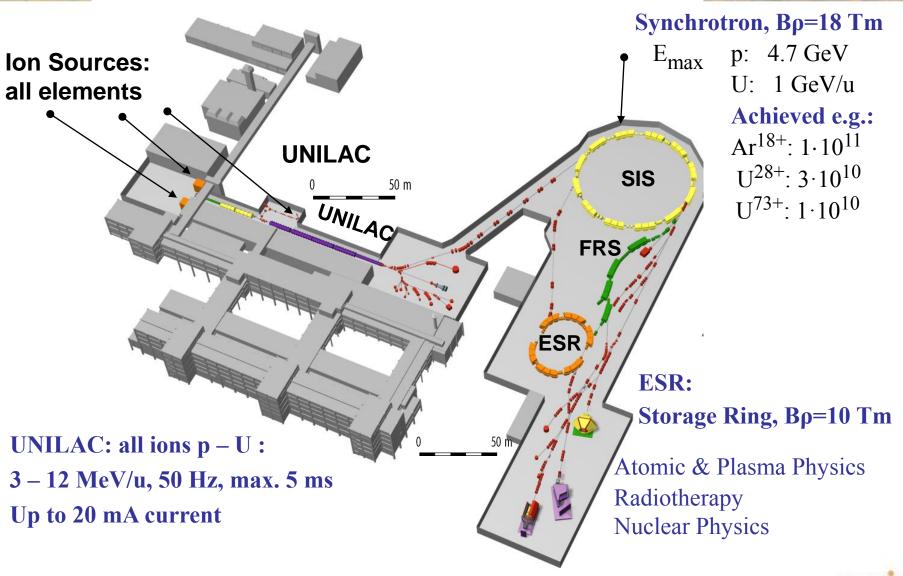
Extension by international FAIR facility

GSI is one of 18 German large scale research centers.

France

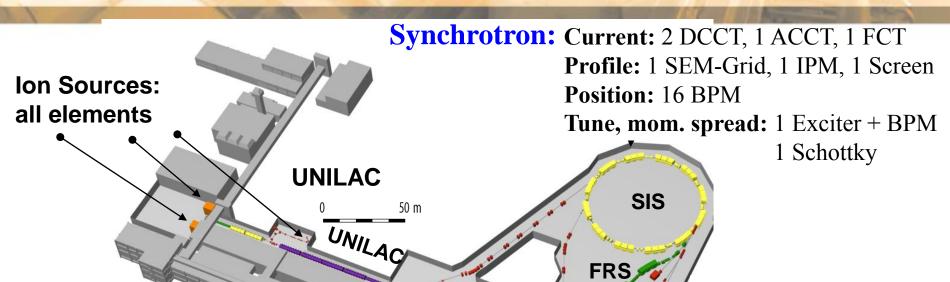
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## Appendix: The Accelerator Facility at GSI



# Appendix: Beam Instruments at GSI Accelerator Facility





## **Transport Lines:**

**Current:** 8 FCT

15 Part. Detec.

**Profile:** 10 SEM-Grid

26 MWPC

18 Screens

**Position:** 8 BPM

#### LINAC:

**Current:** 52 transformers, 30 Faraday-Cups

Profile: 81 SEM-Grids, 6 BIF

**Position & phase: 25 BPM** 

**Trans. emittance:** 9 Slit-Grid, 1 pepper-pot

**Long. emittance:** 3 devices of different type

**ESR** 

## Appendix: UNILAC at GSI: Current Measurement





Faraday Cup: for low current measurement and beam stop, total 30

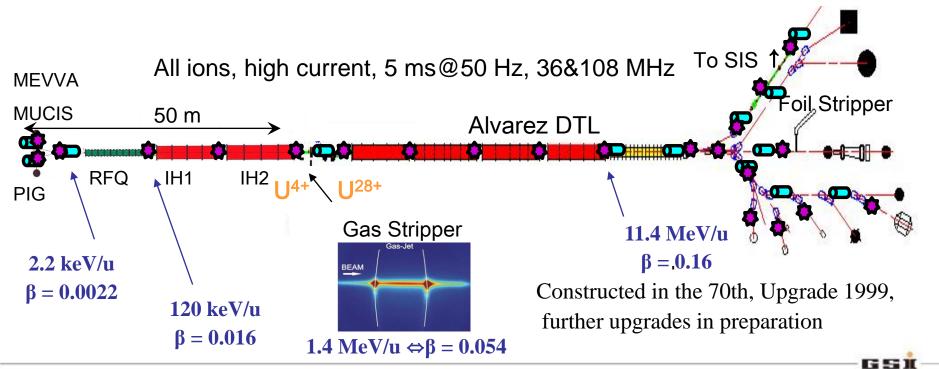


Transformer ACCT: for current measurement and transmission control

total 52 device

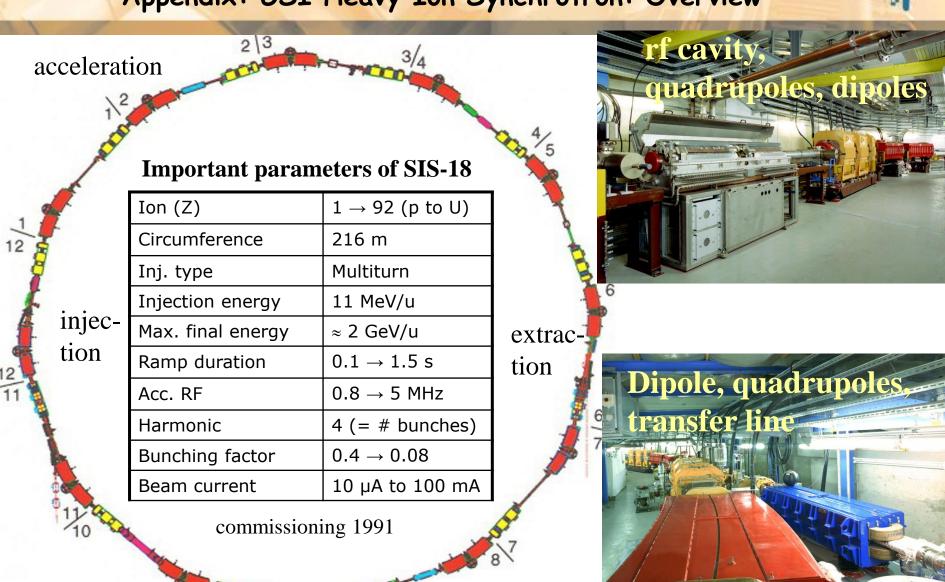
They are used for alignment and interlock generation

Transfer to Synchrotron



## Appendix: GSI Heavy Ion Synchrotron: Overview





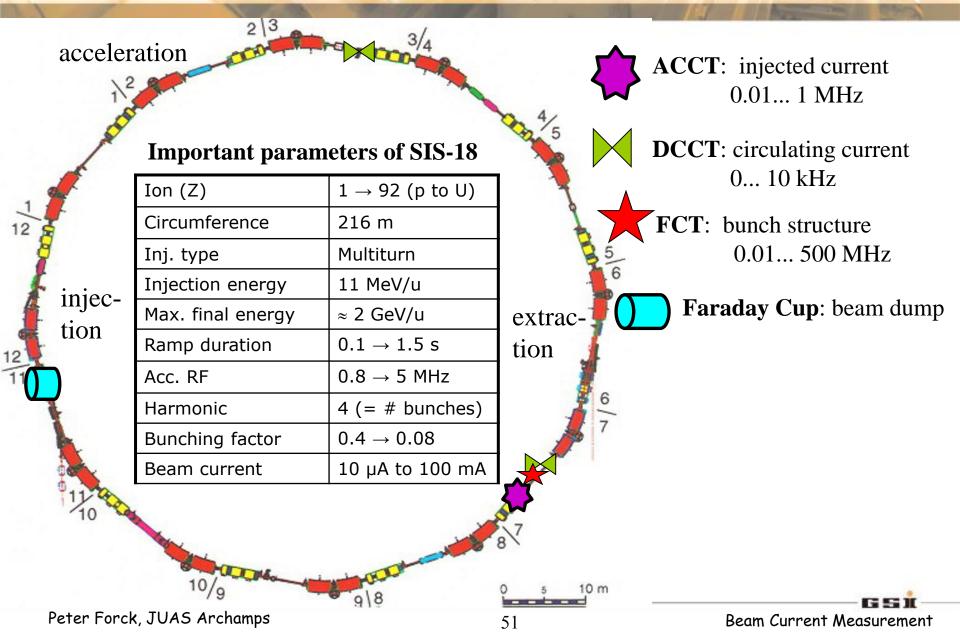
Peter Forck, JUAS Archamps

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Beam Current Measurement

## Appendix: GSI Heavy Ion Synchrotron: Current Measurement





## Appendix: 3rd Generation Light Sources



Soleil, Paris,  $E_{electron}$  = 2.5 GeV, C = 354 m

## **3rd Generation Light Sources:**

Synchrotron-based

with  $E_{electron} \approx 1...8 \text{ GeV}$ 

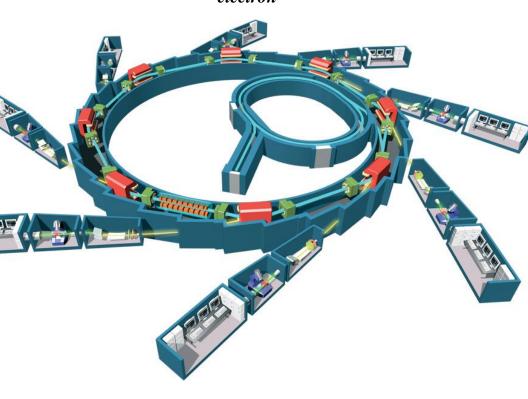
Light from undulators & wigglers, dipoles, with  $E_{\gamma}$ < 10 keV (optical to deep UV)

#### **Users in:**

- Biology(e.g. protein crystallography)
- Chemistry(e.g. observation of reaction dynamics)
- material science(e.g. x-ray diffraction)
- ➤ Basic research in solid state and atomic physics

Unique setting: intense, broad-band light emission (monochromator for wavelength selection)

National facilities in many counties, some international facilities.



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## Appendix: The Spanish Synchrotron Light Facility ALBA

### 3<sup>rd</sup> generation Spanish national synchrotron light facility in Barcelona



#### **Layout:**

Beam lines: up to 30

Electron energy: 3 GeV

Top-up injection

Storage ring length: 268 m

Max. beam current: 0.4 A

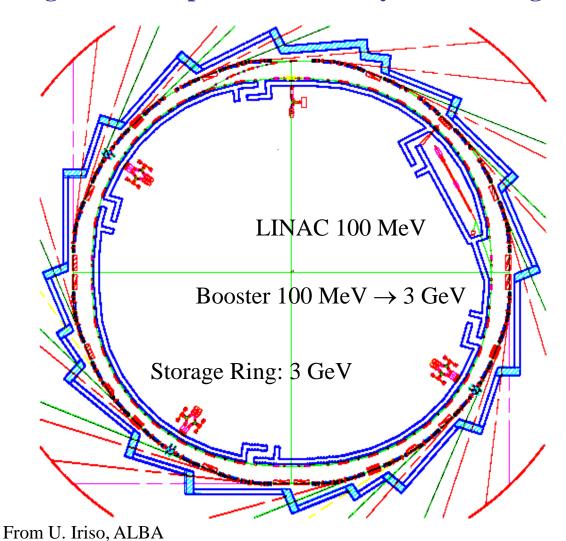
Commissioning in 2011



Talk by Ubaldo Iriso: at DIPAC 2011, adweb.desy.de/mpy/DIPAC2011/html/sessi0n.htm see also www.cells.es/Divisions/Accelerators/RF\_Diagnostics/Diagnostics



### 3<sup>rd</sup> generation Spanish national synchrotron light facility in Barcelona



#### **Layout:**

Beam lines: up to 30

Electron energy: 3 GeV

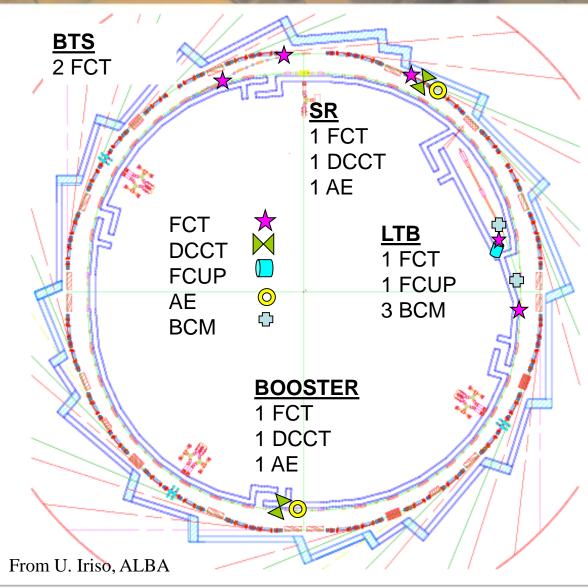
Top-up injection

Storage ring length: 268 m

Max. beam current: 0.4 A

Commissioning in 2011

# Appendix: The Synchrotron Light Facility ALBA: Current Meas.



#### **Beam current:**

Amount of electrons accelerated, transported and stored

- > Several in transport lines
- ➤ One per ring

#### Abbreviation:

**FCT**: Fast Current Transformer

**DCCT**: dc transformer

**FCUP:** Faraday Cup

AE: Annular Electrode

**BCM:** Bunch Charge Monitor

#### Remark:

AE: Annular Electrode i.e. circular electrode acting like a high frequency pick-up