

# Search for $B \rightarrow 3\mu\nu$ at LHCb

**Svende Braun**  
on behalf of the LHCb collaboration

Heidelberg University, Physikalisches Institut

**CKM 2018, Heidelberg**  
**September 17-21, 2018**



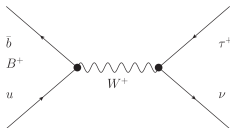
UNIVERSITÄT  
HEIDELBERG  
ZUKUNFT  
SEIT 1386



# Motivation

- fully **leptonic decays of  $B^+$  mesons** are naturally rare
- branching fraction is proportional to the coupling strength  $|V_{ub}|^2$

$B^+ \rightarrow \tau^+ \nu_\tau$ :



- has precise SM predictions due to absence of hadrons in final state :

$$\mathcal{B}(B^+ \rightarrow \tau^+ \nu_\tau) = \frac{G_F^2 m_B m_{\tau^+}^2}{8\pi} \left[ 1 - \frac{m_{\tau^+}^2}{m_B^2} \right]^2 f_B^2 |V_{ub}|^2 \tau_{B^+}$$

- decay rate is helicity suppressed by factor:  $\left(\frac{m_\tau}{m_B}\right)^2$   
→ highly sensitive to BSM particles, such as charged Higgs in 2HDM

# Leptonic B decays

$$B^+ \rightarrow \tau^+ \nu_\tau$$

- most precise measurements done by Belle and BaBar:  
Phys. Rev. D92 (2015) 051102, Phys. Rev. Lett. 110 (2013) 131801, Phys. Rev. D88 (2013) 031102(R), Phys. Rev. D81 (2010) 051101(R)
- are consistent with SM predictions of  $\mathcal{B}_{SM} = ((144 \pm 31) \times 10^{-6})$  (HFLAV December 2017)
- $B^+ \rightarrow \tau^+ \nu_\tau$  at LHCb ?
  - $\tau$  reconstruction very challenging: short lifetime and further decay into neutrinos
  - B vertex reconstruction from only one track highly challenging in busy LHC environment

# Leptonic B decays

$$B^+ \rightarrow \mu^+ \nu_\mu$$

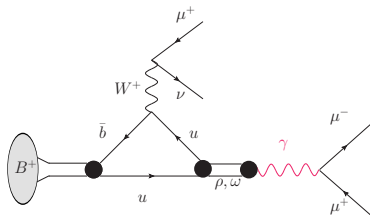
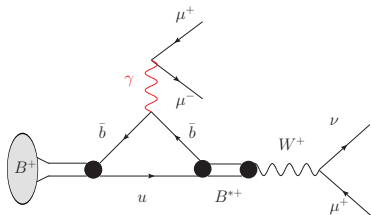
- $B^+ \rightarrow \mu^+ \nu_\mu$  even further suppressed by factor:  $(\frac{m_\mu}{m_B})^2$
- measurements performed by Belle and Babar: Phys. Rev. Lett. 121, 031801 (2018), Phys. Rev. D81 (2010) 051101(R)
- also consistent with SM predictions of  $\mathcal{B}_{SM} = (3.80 \pm 0.31) \times 10^{-7}$

$$B^+ \rightarrow \gamma \mu^+ \nu_\mu$$

- adding a photon lifts the strong suppression of the  $B^+ \rightarrow \mu^+ \nu_\mu$  mode
- SM branching fraction of  $\mathcal{O}(10^{-6})$  expected
- measurements performed by Belle: Phys. Rev. D 91, 112009 (2015) gives  $\mathcal{B}(B^+ \rightarrow \gamma \mu^+ \nu_\mu) < 3.4 \times 10^{-6}$
- $B^+ \rightarrow \gamma \mu^+ \nu_\mu$  at LHCb ?
  - $\mu$  reconstruction very good
  - but B vertex not further constrained from  $\gamma \rightarrow$  hard to reconstruct neutrals

$$B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu$$

- here photon decays into pair of muons
- very good muon reconstruction
- B vertex well defined from three muon tracks
- gets contributions from  $B^+ \rightarrow (\gamma^* \rightarrow \mu^+ \mu^-) \mu^+ \nu_\mu$  and  $B^+ \rightarrow (V \rightarrow \mu^+ \mu^-) \mu^+ \nu_\mu$ , where V is a vector meson decaying into two muons ( $\rho, \omega$ )



- recent theoretical calculation based on vector meson dominance predicts  $\mathcal{B}(B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu) \approx 1.3 \times 10^{-7}$  [Phys. Atom. Nucl. 81 (2018) 34]

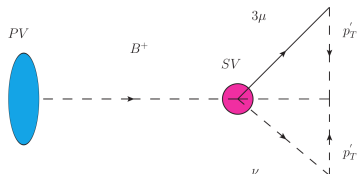
→ decay has been never observed before

- **dataset:** full Run I (2011+2012) and 2016  $\rightarrow 4.7 \text{ fb}^{-1}$  pp data
- performed blinded analysis
- normalize branching fraction to  $B^+ \rightarrow J/\psi(\rightarrow \mu^+ \mu^-) K^+$
- reconstruct B meson using **corrected mass** variable:

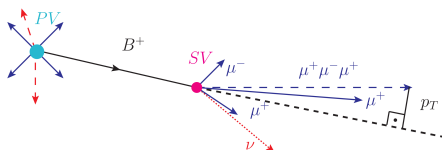
$$m_{B_{corr}} = \sqrt{m_{3\mu}^2 + p_T'^2} + p_T'$$

with  $m_{3\mu}$  is invariant mass of 3 muons,

$p_T'$  missing momentum transverse to flight direction of B candidate



## Topology of decay



- select 3 good quality muon tracks originating from the same vertex
- vertex needs to be displaced from primary vertex (PV)
- good trimuon vertex
- $B^+$  direction points in the same direction as the line from PV to SV
- require that at most one muon station hit is allowed to be shared between the muon candidates

## Choice of $q^2$ region

- Two combinations of invariant mass squared are possible with two opposite sign muons
- restrict search into region with  $\min(q(\mu^+, \mu^-)) < 960 \text{ MeV}/c^2$
- reduces combinatorial background
- expected signal yield outside of region is minimal
- remove backgrounds from  $J/\psi$  and  $\psi(2S)$  decays using mass vetos

## MC simulation $B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu$ decay

- nominal model: photon pole for one of the muon pair and flat mass distribution for third muon and neutrino
- phase space model for systematic checks
- vector meson dominance (VMD) model as proposed in [Phys. Atom. Nucl. 81 (2018) 34]



# Main Backgrounds

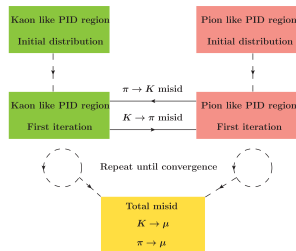
LHCb-PAPER-2018-037 in preparation

- *combinatorial background:*  
random combinations of 3 muons passing the selection  
→ reduce it using a region around B mass of [4000-7000 MeV/c<sup>2</sup> ]  
→ train **dedicated BDT** to remove it: rejects 99% of combinatorics while 40% efficient on signal
- *Partially reconstructed background:*  
3 muons are correctly identified but additional particles not reconstructed e.g.  
 $B^+ \rightarrow D^0(K^+\pi^-\mu^+\mu^-)\mu^+\nu X$   
→ controlled using simulation
- *other exclusive backgrounds:*
  - $B^+ \rightarrow \pi^+\mu^+\mu^-$  low BF and low misID probability for pion → negligible
  - $B^+ \rightarrow K^+\mu^+\mu^-$  corrected mass far away from signal region → negligible

# MisID background

- $K$ ,  $\pi$  or  $p$  misidentified as muon e.g. cascade decays  
 $B \rightarrow D(\rightarrow K\mu\nu)\mu\nu$
- estimated from **control sample** in data  $\mu\mu hX$ :
  - determine different misID rates by splitting into separate 3 PID regions
  - calculate cross feed between them
- probability of  $K$  and  $\pi$  passing  $\mu$ -PID requirements from  $B^0 \rightarrow J/\psi(\rightarrow \mu^+\mu^-)K^{*0}(\rightarrow K^+\pi^-)$  calibration sample
- misID bkg from protons can be neglected

LHCb-PAPER-2018-037 in preparation



→ train **dedicated BDT** to remove it:  
rejects 94% of misID while 40% efficient on signal

# Normalisation to $B^+ \rightarrow J/\psi K^+$

LHCb-PAPER-2018-037 in preparation

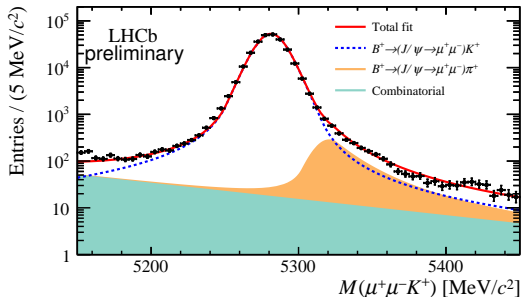
$$\mathcal{B}(B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu) = \mathcal{B}(B^+ \rightarrow J/\psi(\rightarrow \mu^+ \mu^-) K^+) \times \frac{\varepsilon(B^+ \rightarrow J/\psi(\rightarrow \mu^+ \mu^-) K^+)}{\varepsilon(B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu)} \\ \times \frac{N(B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu)}{N(B^+ \rightarrow J/\psi(\rightarrow \mu^+ \mu^-) K^+)}$$

- use external  $\mathcal{B}(B^+ \rightarrow J/\psi(\rightarrow \mu^+ \mu^-) K^+)$  measurement from PDG
- take most efficiencies from MC, PID efficiencies from control data samples:

$$\frac{\varepsilon(B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu)}{\varepsilon(B^+ \rightarrow J/\psi(\rightarrow \mu^+ \mu^-) K^+)} = 0.37 \pm 0.003$$

caused by lower dimuon mass and tighter PID requirements

- keep selection as similar as possible to cancel systematic uncertainty of efficiency ratio



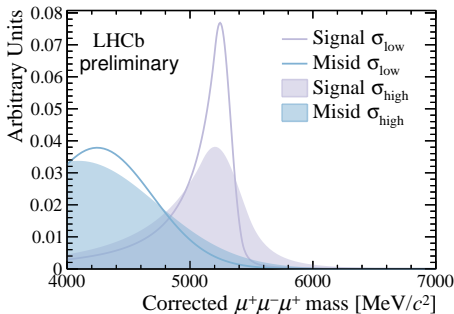
- perform unbinned maximum likelihood fit to  $M(\mu^+ \mu^- K^+)$
- $B^+ \rightarrow J/\psi K^+$ : Ipattia function with non-Gaussian tails
- **misID bkg**  $B^+ \rightarrow J/\psi \pi^+$ : Gaussian core with power law tails
- **combinatorial bkg**: exponential function

→ gives  $\approx 300k$   $B^+ \rightarrow J/\psi K^+$  candidates with 98% purity

# Signal Templates

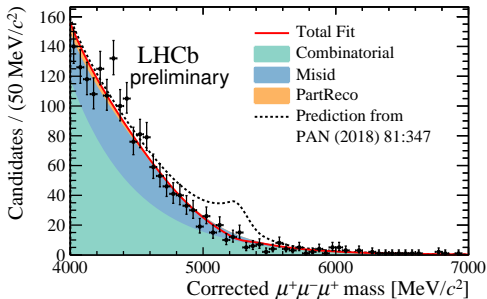
LHCb-PAPER-2018-037 in preparation

- to improve sensitivity an event-by-event uncertainty on the corrected mass is calculated by propagating the uncertainties of the PV and SV
- data is split into two equally-sized regions with **high and low fractional corrected mass uncertainty**
  - improves the branching fraction sensitivity by 11% due to the different signal distribution in the two samples



# Signal Fit

LHCb-PAPER-2018-037 in preparation



- **signal**: sum of two Gaussian with different power law tails
- **Combinatorial**: exponential function, free slope
- **Misid bkg**: from  $\mu^+\mu^-\mu^+$  control sample, shape and yield fitted with Gaussian, power law tail at high corrected mass
- **PartReco**: shape and yield from simulation

- unbinned maximum likelihood fit is performed to the corrected mass
- **signal yield** is slightly negative  
→ total fit component slightly below sum of the backgrounds
- dashed line shows theoretical prediction of  $\mathcal{B}(B^+ \rightarrow \mu^+\mu^-\mu^+\nu_\mu) \approx 1.3 \times 10^{-7}$  [Phys. Atom. Nucl. 81 (2018) 34]

- **No significant signal** component, set a limit of  $1.4 \times 10^{-8}$  at 95% confidence level using the CLs method  
(preliminary)
- CLs method uses knowledge that true branching fraction has to be non-negative
- From pseudo-experiments **expected sensitivity** is found to be  $2.8 \times 10^{-8}$   
→ present result represents a downward fluctuation  $< 2\sigma$

| Source                                | Relative uncertainty [%] |
|---------------------------------------|--------------------------|
| Choice of signal decay model          | 4.6                      |
| Trigger efficiency data/simulation    | 3.5                      |
| Normalisation mode branching fraction | 3.0                      |
| Kaon interaction probability          | 2.0                      |
| Production kinematics                 | 1.5                      |
| Fit bias                              | 1.0                      |
| Simulation size                       | 0.8                      |
| Total                                 | 7.1                      |

- **largest systematic** uncertainty due to decay model for the signal channel: replace nominal with phase space model
- **trigger systematic** due to difference between MC and data, evaluated using  $B^+ \rightarrow J/\psi(\rightarrow \mu^+ \mu^-)K^+ \rightarrow$  conservative estimate, doesn't take expected cancellation in ratio into account
- difference of modelling of the  $B^+$  production kinematics between signal and normalisation calculated using weights
  - systematic uncertainties added as Gaussian constraints when calculating the limit
  - assumed to be fully correlated between bins of fractional corrected mass error



# Conclusion

- Search performed for the rare decay  $B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu$  using  $4.7 \text{ fb}^{-1}$  of proton-proton collision data collected by the LHCb experiment
- No signal is observed for the  $B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu$  decay
- Upper limit of  $\mathcal{B}(B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu) < 1.4 \times 10^{-8}$  at 95% CL is set (preliminary)
- The limit on the branching fraction does not agree with a recent theoretical calculation based on the vector dominance model of  $\mathcal{B}(B^+ \rightarrow \mu^+ \mu^- \mu^+ \nu_\mu) \approx 1.3 \times 10^{-7}$  [Phys. Atom. Nucl. 81 (2018) 34]
- Prospects:  
Statistically limited search, sensitivity scales with  $\sqrt{\mathcal{L}}$   
→ either observe decay very soon or set much better limits in Upgrade

→ **Stay tuned!**

**Thanks for your attention!**

# Backup Slides

# Main Backgrounds

LHCb-PAPER-2018-037 in preparation

## combinatorial background:

- random combinations of 3 muons passing the selection
- don't come from same decay chain  
→ reduce it using a region around B mass of [4000-7000 MeV/c<sup>2</sup> ]
- train **dedicated BDT** to remove it:
  - trained on signal MC and upper mass sideband  $m_{B_{corr}} > 5500 \text{ MeV}/c^2$  data as bkg
  - contains kinematic and geometric properties of  $B^+$  candidate and muon tracks, also multiplicity of event
  - most discriminating variables: isolation of decay vertex, quality of B vertex and muon IPs wrt. PV
  - BDT response optimised by maximising Punzi FOM:  $\frac{\epsilon_S}{\sqrt{B+3}/2}$
  - rejects 99% of combinatorics while 40% efficient on signal

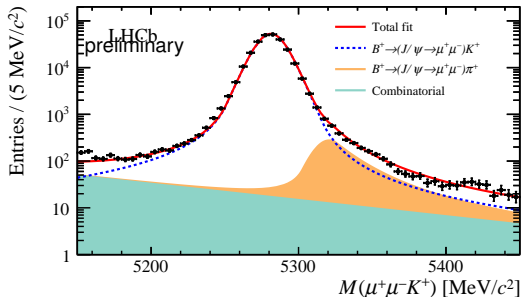
# MisID background

LHCb-PAPER-2018-037 in preparation

- misID background: kaon, pion or proton misidentified as muon  
e.g. cascade decays  $B \rightarrow D(\rightarrow K\mu\nu)\mu\nu$
  - estimated from **control sample** in data
    - same selection except reversal of muonID requirement for one track  
→ selects sample of  $\mu\mu hX$  candidates in data, with  $h$  any hadron  
→ mixture of cascade decays  $B \rightarrow D(\rightarrow h\mu\nu X)\mu\nu$  and combinatorial bkg
    - muon misID rate different for kaon and muon → hadron species must be determined
    - done by isolating the hadrons into separate hadron PID regions and then take into account cross-feed between the regions:  
→ split  $\mu\mu hX$  sample into 3 separate hadron PID regions consistent with the kaon, pion and proton hypotheses
    - Probabilities of identifying the hadrons with a given PID requirement as a fct of  $p$  and  $\eta$  of the particle taken from dedicated control samples
  - probability of kaon and pion passing muon PID requirements calculated from  $B^0 \rightarrow J/\psi(\rightarrow \mu^+\mu^-)K^{*0}(\rightarrow K^+\pi^-)$  decays as a calibration sample
  - misID bkg from protons can be neglected
- train **dedicated neural-network** based PID selection to remove it:
- trained on signal MC and  $\mu\mu hX$  background in data
  - rejects 94% of combinatorics while 40% efficient on signal

# Normalisation Fit

LHCb-PAPER-2018-037 in preparation



- perform unbinned maximum likelihood fit to  $M(\mu^+\mu^-K^+)$
- $B^+ \rightarrow J/\psi(\rightarrow \mu^+\mu^-)K^+$  described by  $\text{lpatia}$  function with non-Gaussian tails on both sides, mean and width allowed to vary, all others fixed from simulation
- **misID bkg**  $B^+ \rightarrow J/\psi(\rightarrow \mu^+\mu^-)\pi^+$  modelled with Gaussian core with power law tails on each side, freely varying mean and with, tail parameters fixed from simulation
- **combinatorial bkg** modelled using exponential function, decay constant allowed to vary in fit

→ gives  $\approx 300k$   $B^+ \rightarrow J/\psi K^+$  candidates with 98% purity

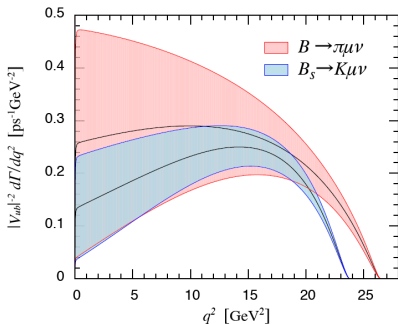
# Signal Fit

LHCb-PAPER-2018-037 in preparation

- unbinned maximum likelihood fit is performed to the corrected mass
- **signal shape** is modelled with the sum of two Gaussian functions with different power law tails on each side, determined from simulation
- **combinatorial bkg** modelled using exponential function, slope allowed to vary in fit, parametrisation is verified using simulation
- **Misid bkg** from the  $\mu^+\mu^-hX$  control sample, shape and yield fitted with a Gaussian function with a power law tail at high corrected mass
  - parametrisation cross-checked by fitting a sample with looser muonID requirement
  - uncertainties on the associated parameters are propagated to the fit using a multivariate Gaussian constraint
- **partially reconstructed background**: shape and yield taken from simulation.
- Yields are allowed to vary within constraints from a Poisson distribution in the fit

# Future plans

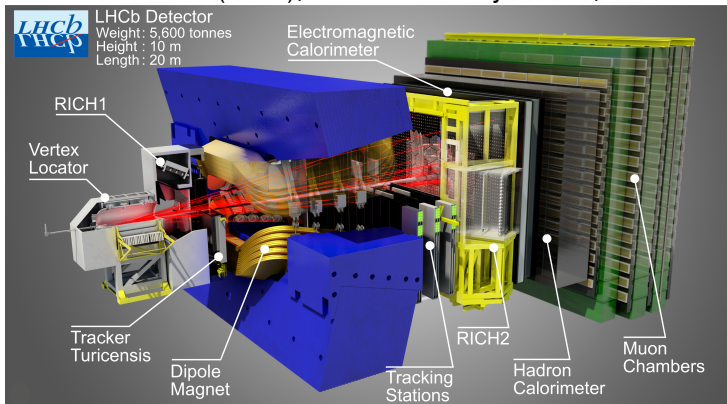
- We are working currently on extraction  $|V_{ub}|$  exclusively from  $B_s^0 \rightarrow K^- \mu^+ \nu_\mu$ , using normalisation channel of  $B_s^0 \rightarrow D_s^- \mu^+ \nu_\mu$
- Smaller FF uncertainty expected wrt.  $\Lambda_b \rightarrow p \mu \nu$ :  $\sim 3\%$  [Phys. Rev. D 91, 074510 (2015)]
- Production fraction  $\sim 10\%$ , smaller compared to  $\Lambda_b$  ( $\sim 20\%$ )
- More difficult to handle background ( $\Lambda_c, D_s, D^+, D^0$ ) w.r.t.  $\Lambda_b$
- recent results on FFs:
  - from LQCD: Phys. Rev. D 91, 074510 (2015), Phys. Rev. D 90, 054506 (2014)
  - NEW directly on BF ratio: arXiv 1808.09285
  - from LCSR predictions at low  $q^2$ : arXiv 1703.04765





# LHCb Detector

JINST 3 S08005 (2008), Int. J. Mod. Phys. A 30, 1530022 (2015)



- VELO: primary and secondary vertex
- Tracking: momentum of charged particle
- RICHs: particle identification  $K^\pm$ ,  $\pi^\pm$
- MUON: trigger on high  $p_T$   $\mu^\pm$  & PID
- Calorimeter: ECAL and HCAL for  $\gamma$ ,  $e^\pm$  and hadronic energy