

Summary of WG2:
 V_{ub} , V_{cb} and (semi)leptonic B decays including tau

Chris Bouchard with Lu Cao and Patrick Owen

Tuesday

- Effect of QED corrections on $R(D)$, **Teppei Kitahara**
- Inclusive $b \rightarrow u \ell \nu$ at Belle/Belle II, **Raynette van Tonder**
- $B \rightarrow D^{(*)} \ell \nu$ at Belle/Belle II, **Killian Lieret**
- $B \rightarrow D^{*}$ form factors at non-zero recoil, **Alejandro Vaquero Aviles-Casco**
- Review of exclusive semileptonic B meson decays from lattice QCD, **Christopher Monahan**
- Exclusive semileptonic baryonic b decays from lattice QCD, **Stefan Meinel**
- Semileptonic $L_b \rightarrow L_c^{(*)}$ decays (LHCb), **Marcello Rotondo**
- A unified resolution to B anomalies with lepton mixing, **Rusa Mandal**

Wednesday

- Review of $|V_{ub}|$ and $|V_{cb}|$ measurements at the B-factories, **Christoph Schwanda**
- $|V_{cb}|$ determination from inclusive semileptonic decays, **Paolo Gambino**
- New ideas for calculating inclusive semileptonic decays on the lattice, **Shoji Hashimoto**
- B to semi-tauonic decays at Belle/Belle II, **Karol Adamczyk**
- B to $\mu \nu$ at Belle/Belle II, **Alexei Sibidanov**
- B to $\ell \nu \gamma$ at Belle, **Moritz Gelb**
- $B \rightarrow 3 \mu \nu$ at LHCb, **Svende Annelies Braun**

Thursday

- (joint with WG1) Semileptonic B and D decays from sum rules, **Alexander Khodjamirian**
- (joint with WG1) Nonperturbative calculations of form factors for exclusive semileptonic Bs decays, **Oliver Witzel**
- (joint with WG1) New physics in $b \rightarrow c \ell \nu$, **David Straub**
- (joint with WG1) Leptonic Decays of B and D Mesons from Lattice QCD, **Javad Komijani**
- (joint with WG3) LFU tests with semitauonic decays at LHCb, **Adam Morris**
- (joint with WG3) $b \rightarrow s \ell \ell$ LFU measurements at LHCb, **Vitalii Lisovskyi**
- (joint with WG3) BSM physics and lepton flavor nonuniversality in semileptonic b decays, **Olcyr Sumensari**
- (joint with WG3) New directions in B-anomalies model building, **Admir Greljo**

Summary

- $|V_{cb}|$
 - HFLAV 2016 results
 - exclusive ($D^*l\nu$): $(39.05 \pm 0.47(\text{exp}) \pm 0.58(\text{th})) \times 10^{-3}$
 - inclusive: $(42.19 \pm 0.78) \times 10^{-3}$
 - Evidence has been mounting in the past two years that the CLN parameterization is biasing the exclusive result
 - On two independent $D^*l\nu$ data sets BGL results in $|V_{cb}|$ being $\sim 2\sigma$ higher than CLN
- $|V_{ub}|$
 - HFLAV 2016 results
 - $\pi l\nu$: $(3.70 \pm 0.10(\text{exp}) \pm 0.12(\text{th})) \times 10^{-3}$
 - inclusive (BLNP): $(4.44 \pm 0.15 +0.21/-0.22) \times 10^{-3}$
 - For $|V_{ub}|$ however, the $\sim 3\sigma$ discrepancy remains to be understood

Belle data sets for B to D^*

- hadronic tagging: [arXiv:1702.01521](https://arxiv.org/abs/1702.01521)
- untagged: [arXiv:1809.03209](https://arxiv.org/abs/1809.03209)

Vub and Vcb and semitauonic

Form factor parameterizations

- Caprini, Lellouch, Neubert [Nucl.Phys. B530, 153(1998)]

coeffs related via HQET

$B \rightarrow D^* l \nu$

$$h_{A_1}(w) = h_{A_1}(1) [1 - 8\rho^2 z + (53\rho^2 - 15)z^2 - (231\rho^2 - 91)z^3],$$

$$R_1(w) = R_1(1) - 0.12(w - 1) + 0.05(w - 1)^2,$$

$$R_2(w) = R_2(1) + 0.11(w - 1) - 0.06(w - 1)^2,$$

$B \rightarrow D l \nu$

$$\mathcal{G}(z) = \mathcal{G}(1)(1 - 8\rho^2 z + (51\rho^2 - 10)z^2 - (252\rho^2 - 84)z^3)$$

Parameters: $F(1), \rho^2, R_1(1), R_2(1)$
 $G(1), \rho^2$

- Boyd, Grinstein, Lebed [Phys. Rev. Lett. 74, 4603 (1995)]

$$f_i(z) = \frac{1}{P_i(z)\phi_i(z)} \sum_{n=0}^N a_{i,n} z^n, \quad z(w) = \frac{\sqrt{w+1} - \sqrt{2}}{\sqrt{w+1} + \sqrt{2}}$$

Parameters: coefficients $a_{i,n}$

Model-independent analysis of arXiv:1702.01521 data

- D. Bigi, P. Gambino, S. Schacht, Phys.Lett. B769 (2017) 441

BGL Fit:	Data + lattice	Data + lattice + LCSR	CLN Fit:	Data + lattice	Data + lattice + LCSR
χ^2/dof	27.9/32	31.4/35	χ^2/dof	34.3/36	34.8/39
$ V_{cb} $	0.0417 $\left(\begin{smallmatrix} +20 \\ -21 \end{smallmatrix}\right)$	0.0404 $\left(\begin{smallmatrix} +16 \\ -17 \end{smallmatrix}\right)$	$ V_{cb} $	0.0382 (15)	0.0382 (14)
a_0^f	0.01223(18)	0.01224(18)	$\rho_{D^*}^2$	1.17 $\left(\begin{smallmatrix} +15 \\ -16 \end{smallmatrix}\right)$	1.16 (14)
a_1^f	-0.054 $\left(\begin{smallmatrix} +58 \\ -43 \end{smallmatrix}\right)$	-0.052 $\left(\begin{smallmatrix} +27 \\ -15 \end{smallmatrix}\right)$	$R_1(1)$	1.391 $\left(\begin{smallmatrix} +92 \\ -88 \end{smallmatrix}\right)$	1.372 (36)
a_2^f	0.2 $\left(\begin{smallmatrix} +7 \\ -12 \end{smallmatrix}\right)$	1.0 $\left(\begin{smallmatrix} +0 \\ -5 \end{smallmatrix}\right)$	$R_2(1)$	0.913 $\left(\begin{smallmatrix} +73 \\ -80 \end{smallmatrix}\right)$	0.916 $\left(\begin{smallmatrix} +65 \\ -70 \end{smallmatrix}\right)$
$a_1^{F_1}$	-0.0100 $\left(\begin{smallmatrix} +61 \\ -56 \end{smallmatrix}\right)$	-0.0070 $\left(\begin{smallmatrix} +54 \\ -52 \end{smallmatrix}\right)$	$h_{A_1}(1)$	0.906 (13)	0.906 (13)
$a_2^{F_1}$	0.12 (10)	0.089 $\left(\begin{smallmatrix} +96 \\ -100 \end{smallmatrix}\right)$			
a_0^g	0.012 $\left(\begin{smallmatrix} +11 \\ -8 \end{smallmatrix}\right)$	0.0289 $\left(\begin{smallmatrix} +37 \\ -37 \end{smallmatrix}\right)$			
a_1^g	0.7 $\left(\begin{smallmatrix} +3 \\ -4 \end{smallmatrix}\right)$	0.08 $\left(\begin{smallmatrix} +8 \\ -22 \end{smallmatrix}\right)$			
a_2^g	0.8 $\left(\begin{smallmatrix} +2 \\ -17 \end{smallmatrix}\right)$	-1.0 $\left(\begin{smallmatrix} +20 \\ -0 \end{smallmatrix}\right)$			

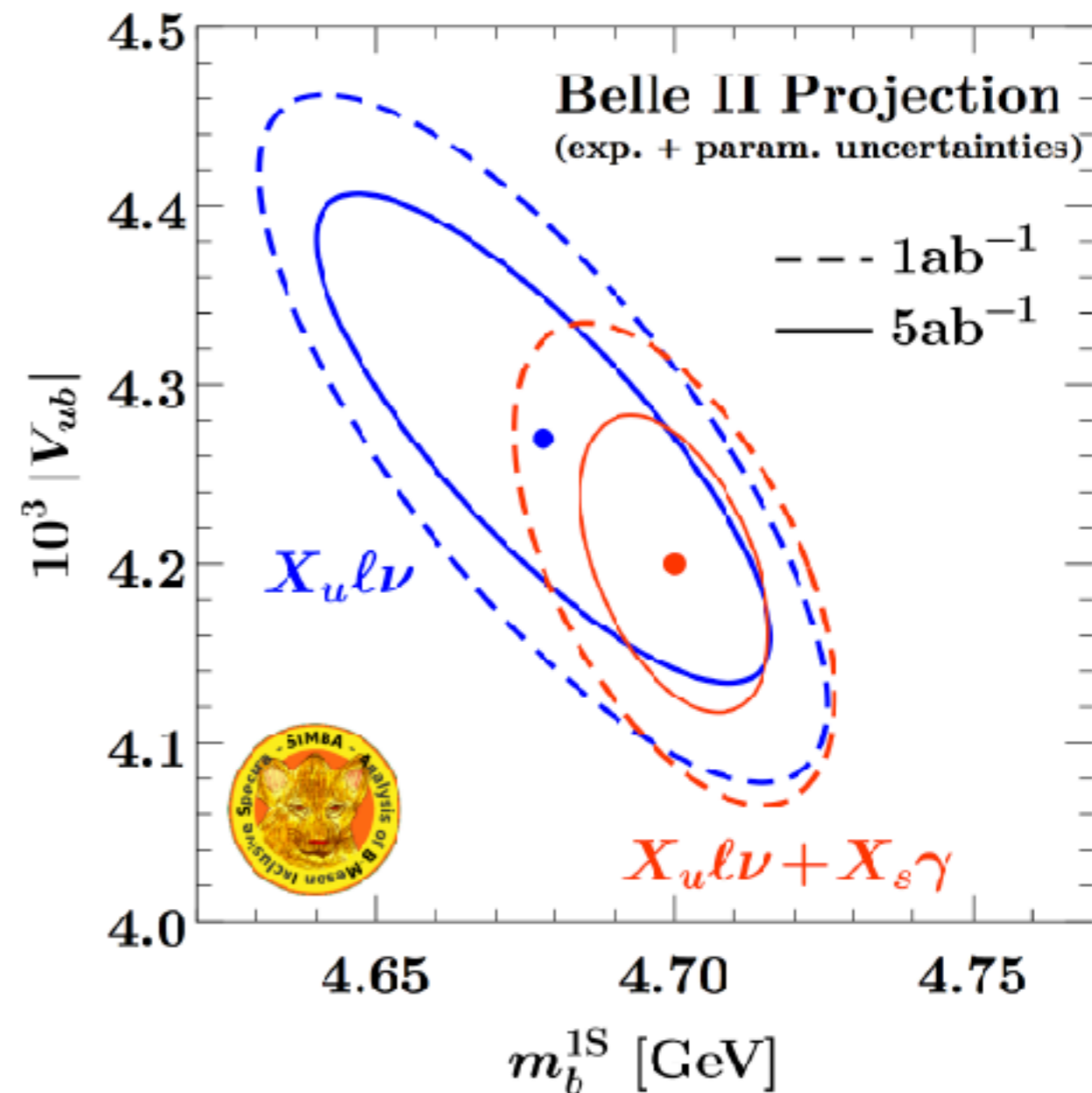
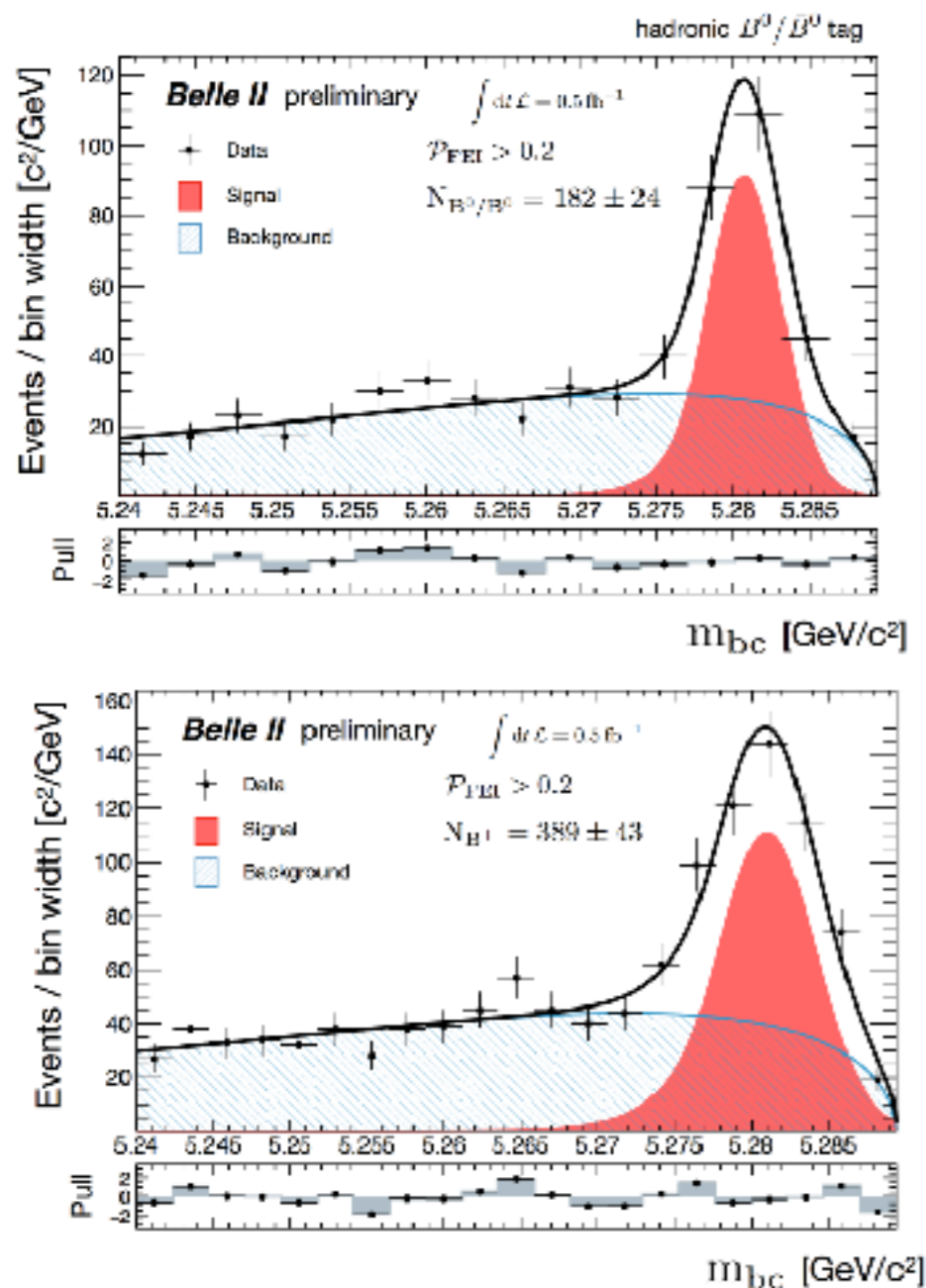
- B. Grinstein, A. Kobach, Phys.Lett. B771 (2017) 359

$$|V_{cb}| = (37.4 \pm 1.3) \times 10^{-3} \quad (\text{CLN})$$

$$|V_{cb}| = (41.9^{+2.0}_{-1.9}) \times 10^{-3} \quad (\text{BGL})$$

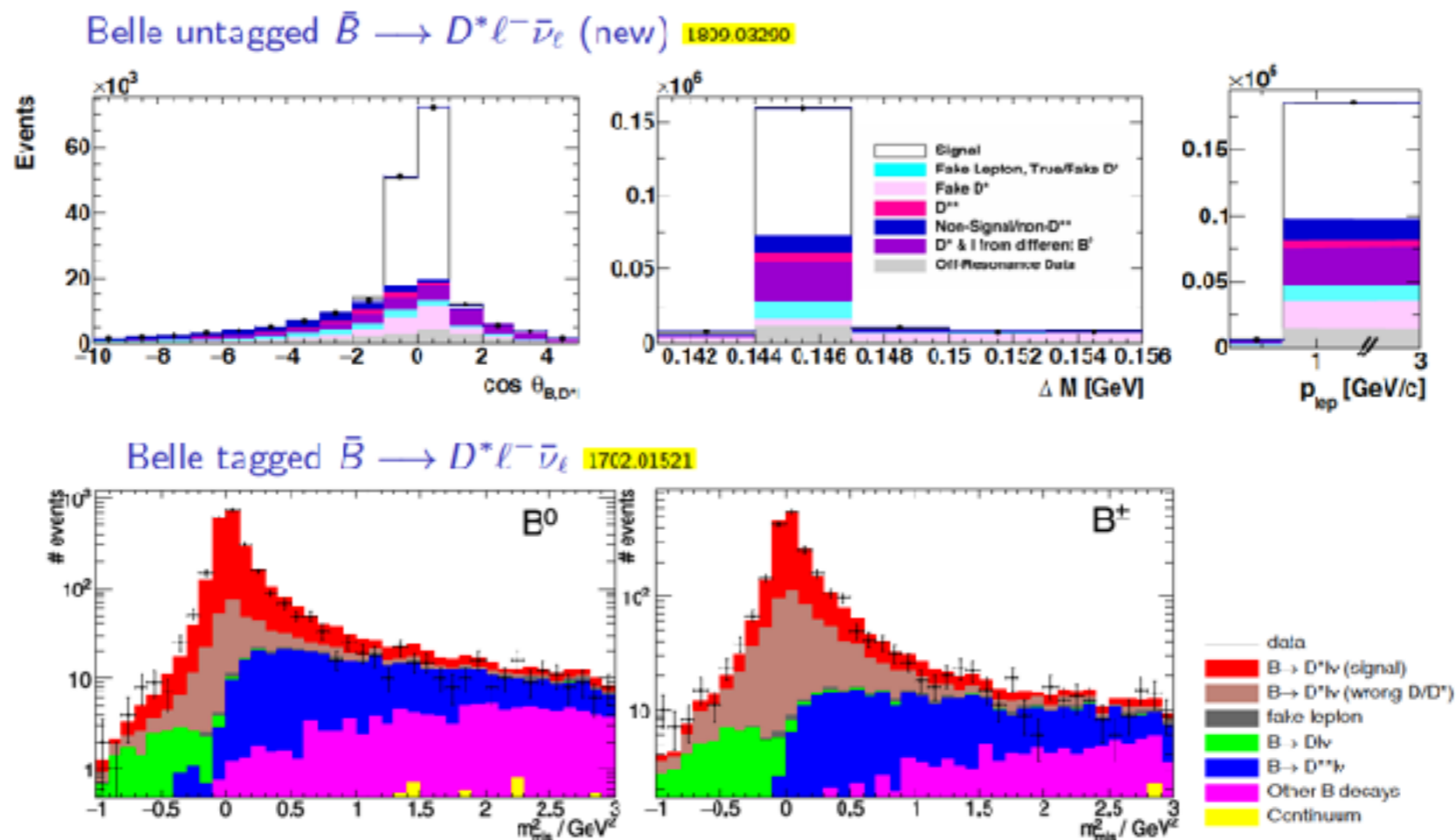
Raynette Van Tonder, **Inclusive B -> Xu l nu at Belle II**

- aim to disentangle $\sim 3.5\sigma$ tension between exclusive and inclusive V_{ub} .
- Difficulty from large background coming from $b \rightarrow clv$ decays.
- Need good tagging performance and reasonable $B \rightarrow Xu lv$ MC modelling.
- Hadronic tagging performance with FEI using Belle2 phase II data is obtained.
- Global fit proposal by SIMBA, NN V_{ub} can be done to reduce error 2-3%.



Killian Lieret, $B \rightarrow D^* l \nu$ at Belle/Belle II

- aim to disentangle $\sim 3\sigma$ tension between exclusive and inclusive Vcb. Hadronic tagging & untagged.
- CLN & BGL parameterisations used for form factor. Prospects for BelleII



Link	Channel	Tag	$ V_{cb} \times 10^3$ (CLN)	$ V_{cb} \times 10^3$ (BGL)	Unfold	Notes
Phys.Rev. D82 112004	$D^* l^- \bar{\nu}_l$	No	35.5 ± 1.5			
1809.03290	$D^* l^- \bar{\nu}_l$	No	38.4 ± 0.9	42.5 ± 1.0	Soon	
1702.01521	$D^* l^- \bar{\nu}_l$	Had.	37.4 ± 1.3		Yes	Soon: Separate results $l = e$ and $l = \mu$
Phys.Rev. D93 no.3. 032006	$D l^- \bar{\nu}_l$	Had.	39.9 ± 1.3	40.8 ± 1.1		

cf. current PDG: $V_{cb, incl.} = (42.2 \pm 0.8) \times 10^{-3}$

Karol Adamczyk, **B to semi-tauonic decays at Belle/Belle II**

[Phys. Rev. Lett. 118, 211801 (2017)], [Phys. Rev. D 97, 012004 (2018)]

- first measurement of tau polarisation;
- combined P_τ and $R(D^*)$ consists with SM within 0.6 sigma.

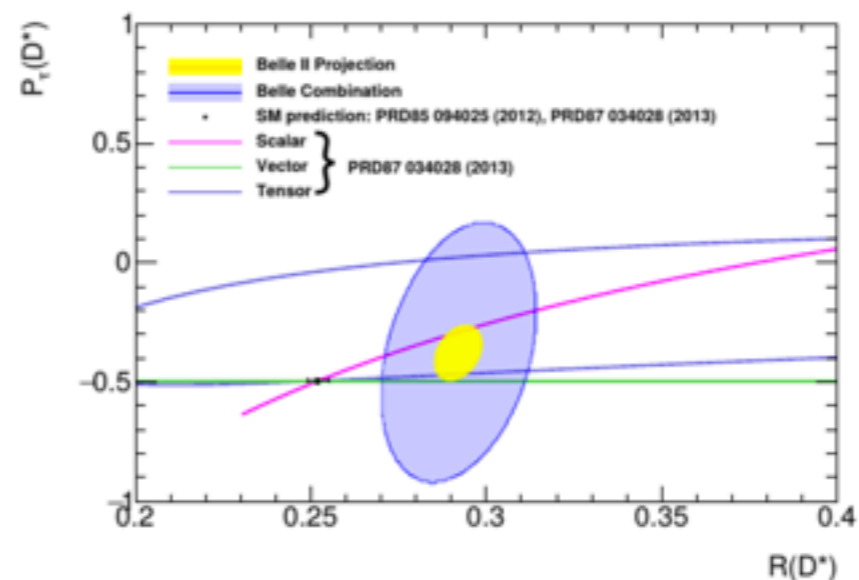
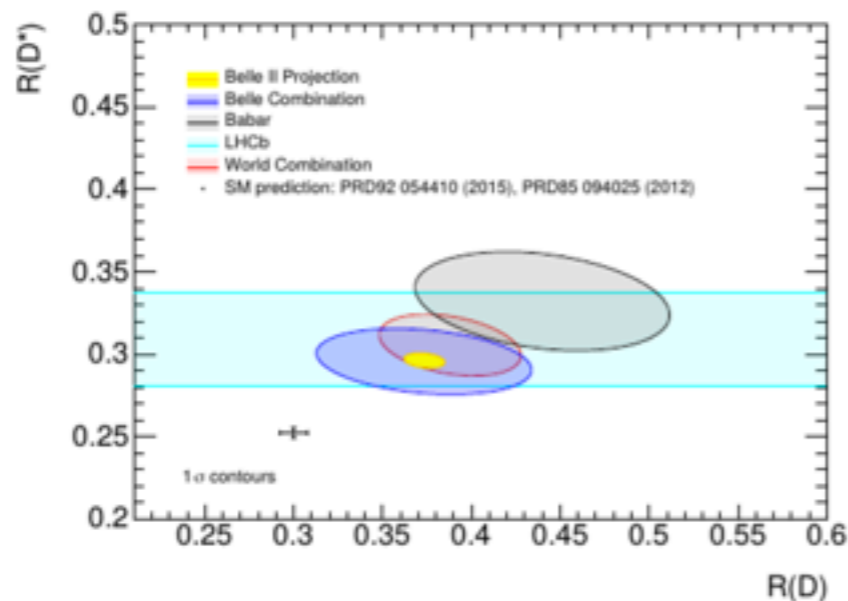
$$P_\tau(D^*) = -0.38 \pm 0.51(\text{stat.})_{-0.16}^{+0.21}(\text{syst.})$$
$$R(D^*) = 0.270 \pm 0.035(\text{stat.})_{-0.025}^{+0.028}(\text{syst.})$$

Prospects @ Belle II

Belle II

The Belle II Physics Book, arXiv:1808.10567

- expected constraints on R_D vs. R_{D^*} ; R_{D^*} vs. $P_\tau^{D^*}$ compared to existing experimental constraints from Belle



Christopher Monahan, **Review of exclusive semileptonic B meson decays from lattice QCD**

- overview of B(s) semileptonic decay calculations on the lattice
- overview of lattice systematic uncertainties
- (many!) results since CKM 2018

B to π

- more groups now studying decay (3 -> 5)
- soon: 2+1+1 results at nonzero recoil

B_s to K

- more groups now studying decay (2 -> 3)
- soon: 2+1+1 results

B to D

- now: preliminary 2+1+1 results

B to D*

- more groups now studying decay (1 -> 3)
- now: published 2+1+1 result [HPQCD] and new $V_{cb}=0.00413(22)$
- soon: 2+1 results at nonzero recoil

B_s to D_s

- more groups now studying decay (1 -> 3)
- now: published 2+1 result at nonzero recoil [HPQCD], inc. $R(D_s)$
- soon: 2+1+1 results

B_s to D_s*

- ~~more~~ groups now studying decay (0 -> 2)
- now: published 2+1+1 result [HPQCD]

- overview of B(s) semileptonic decay calculations on the lattice
- overview of lattice systematic uncertainties
- (many!) results since CKM 2018

Outlook

Next few years will see many more lattice results

- expect new V_{ub} from ETMC, FNAL/MILC, HPQCD, JLQCD
- expect new V_{cb} from FNAL/MILC, HPQCD, SWME

Heavy HISQ (and DWF) results are very promising

- allows entirely nonperturbative current renormalisation
- should facilitate sub-1% precision

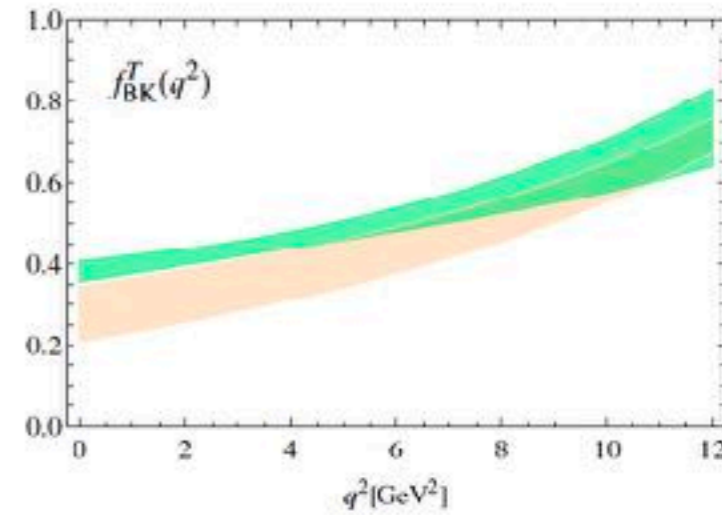
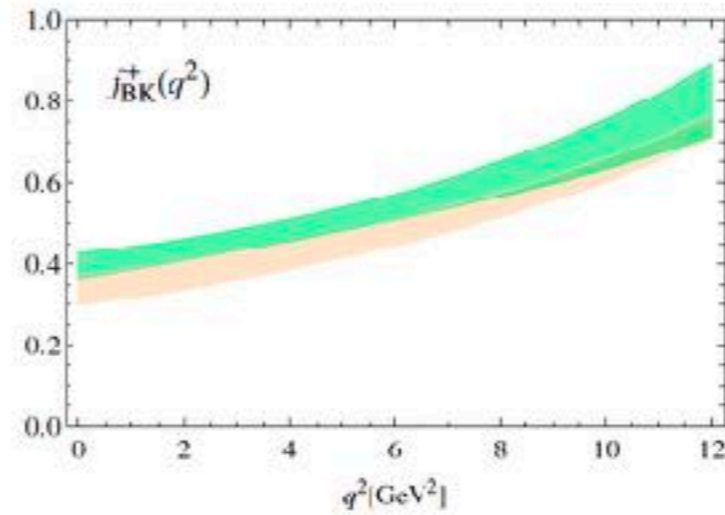
Anticipating exp. results, B_s decays a real growth industry

- HPQCD, RBC/UKQCD, SWME
- but further progress really requires experimental data

Moving beyond $\sim 0.5\%$ precision will require

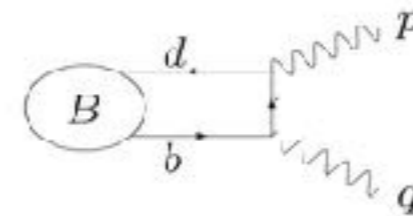
- isospin breaking effects
- QED effects

- new results for $B_s \rightarrow K$ [1703.04765]
- preliminary results for $D \rightarrow \pi$ and $D \rightarrow K$

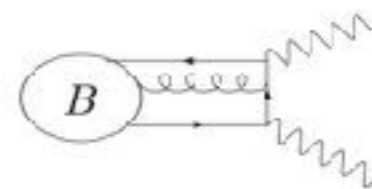


- improvements:
 - NNLO correction to twist 2
 - twist 5,6 terms
 - improved π, K distribution amplitudes & form factors (in progress)

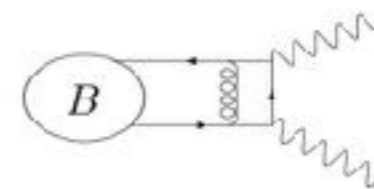
- new approach using B meson DAs
 - valid for any $B \rightarrow$ "light" form factor
 - need Belle-II $B \rightarrow \gamma \mu \nu_\mu$
 - application to $B \rightarrow \pi\pi$ [1701.01633]



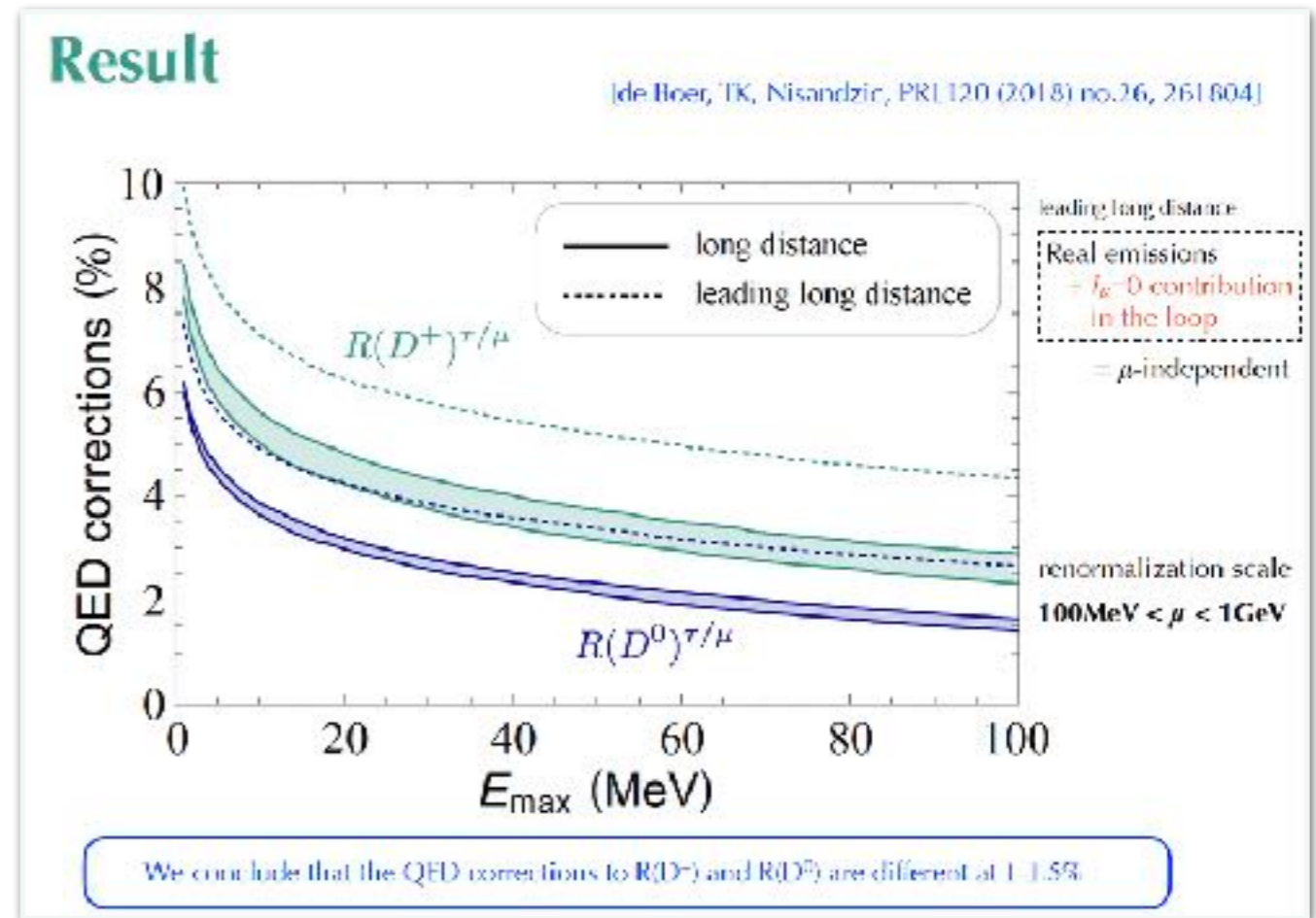
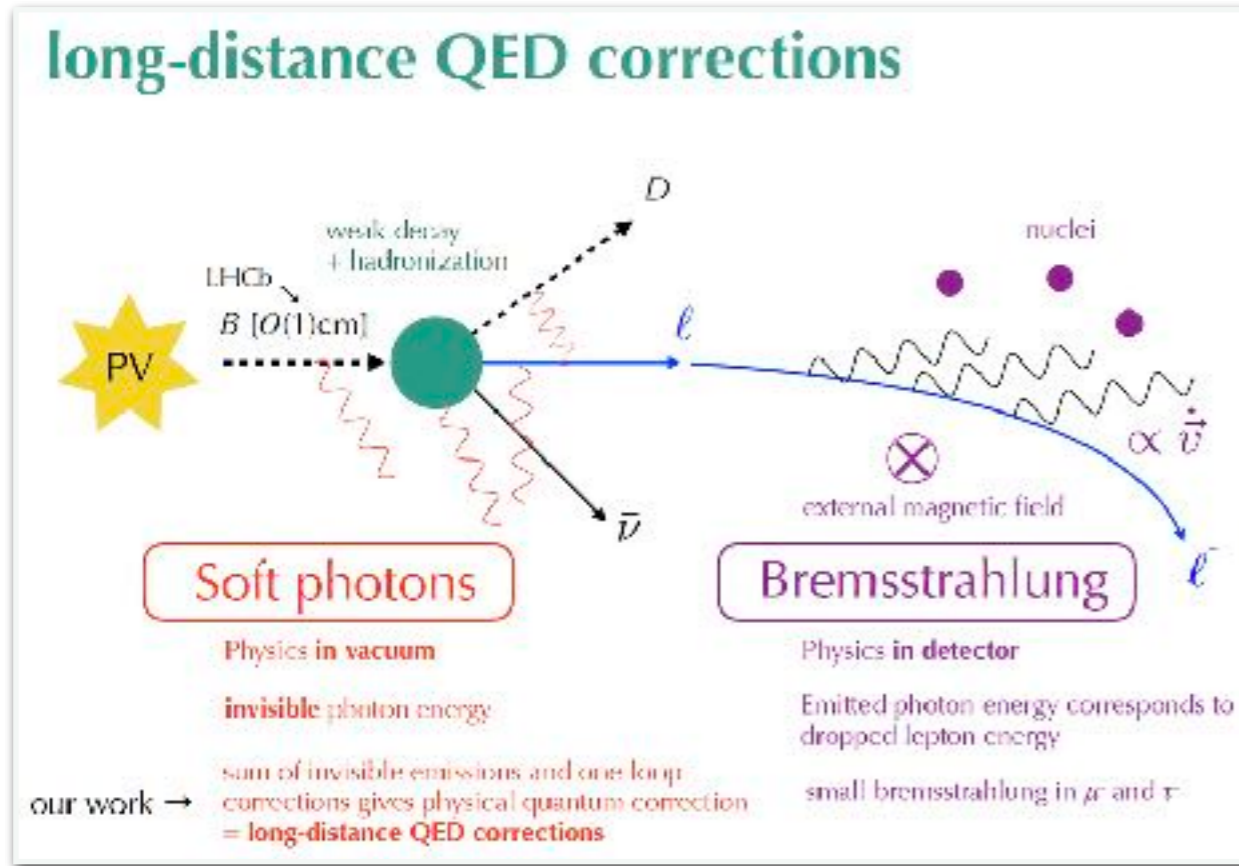
(a)



(b)



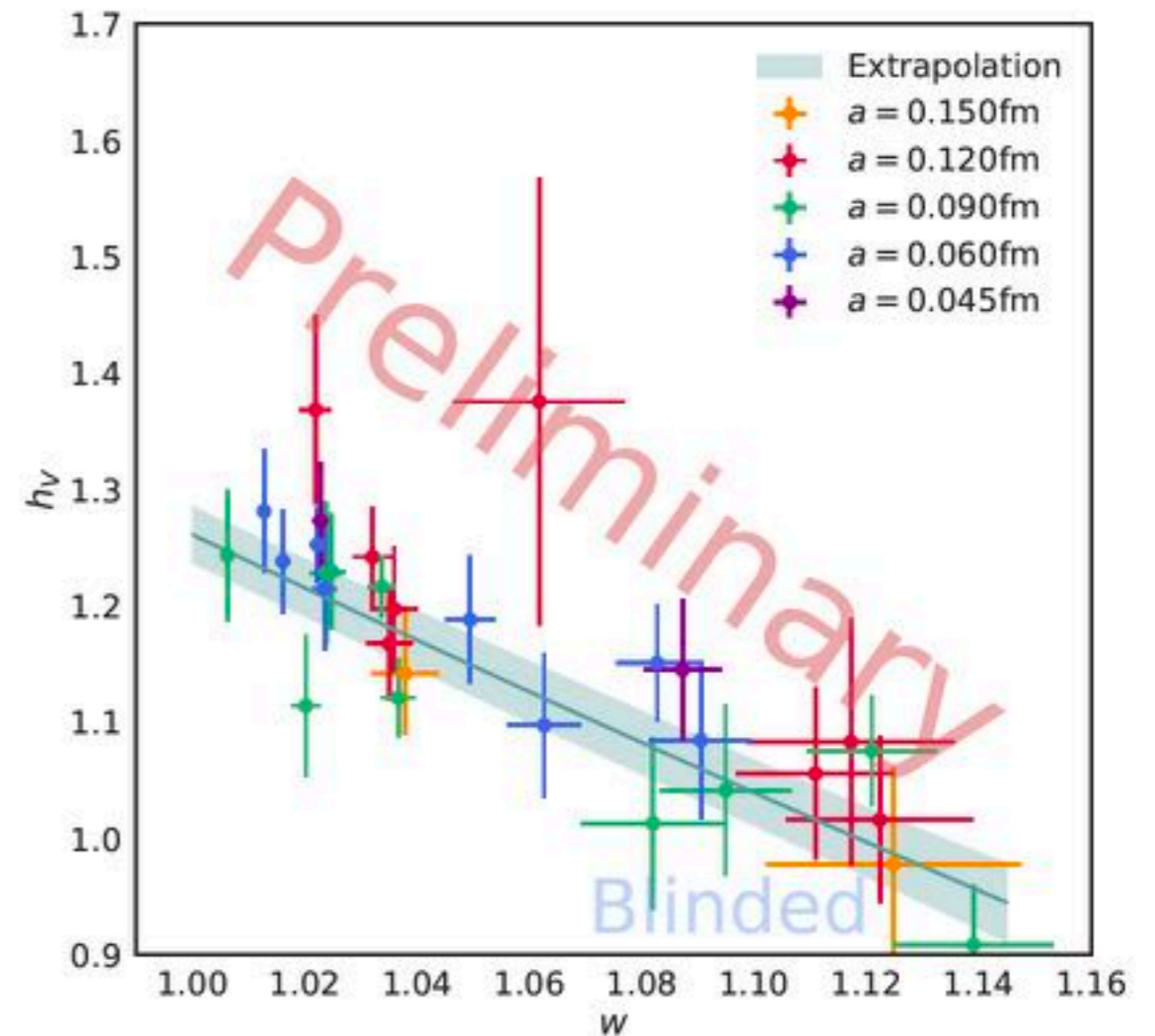
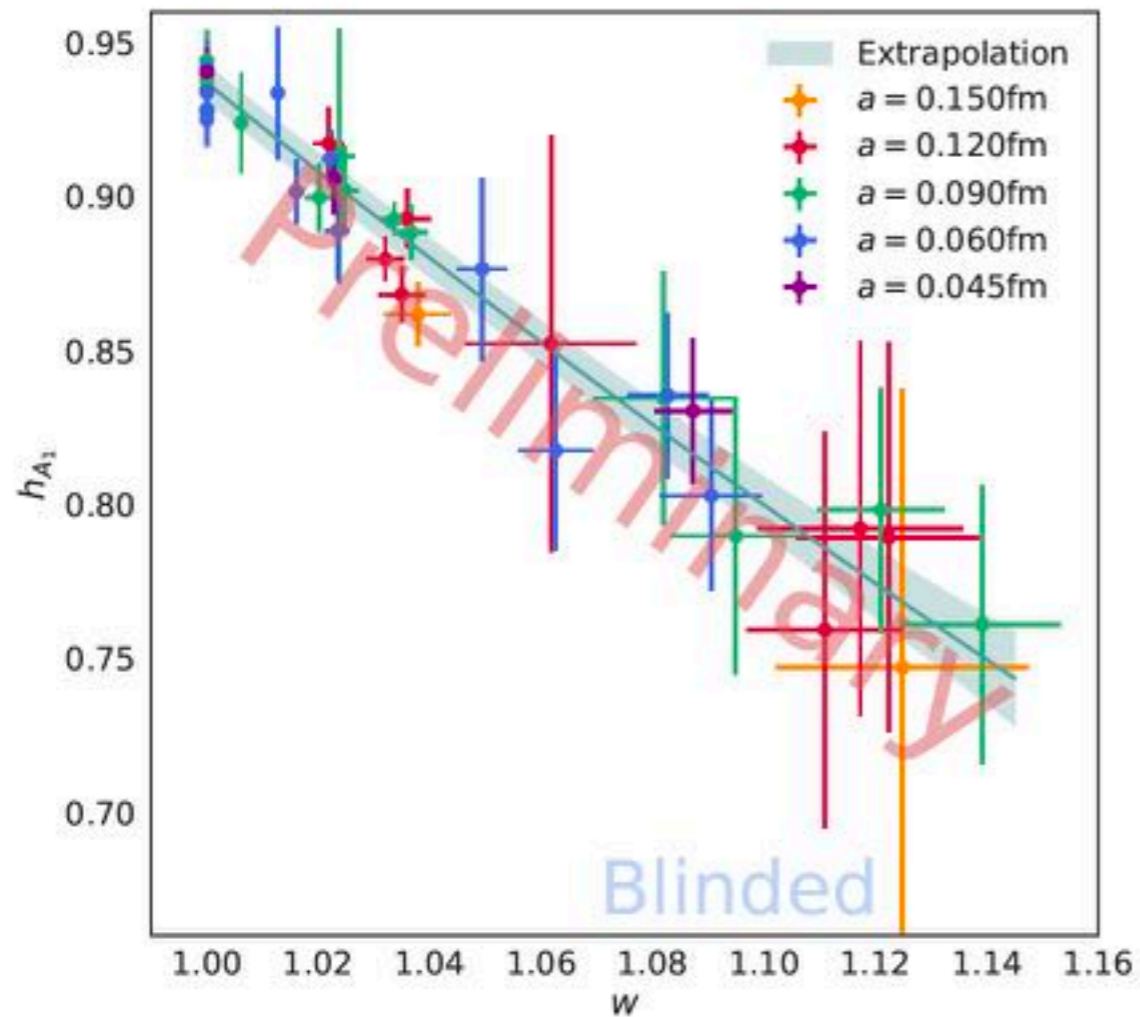
(c)



- 3-4% correction to R(D) based on soft (≈ 30 MeV) photon contributions
- important to understand how QED effects handled in experiment (PHOTOS)
- working on $R(D^*)$ and V_{cb}

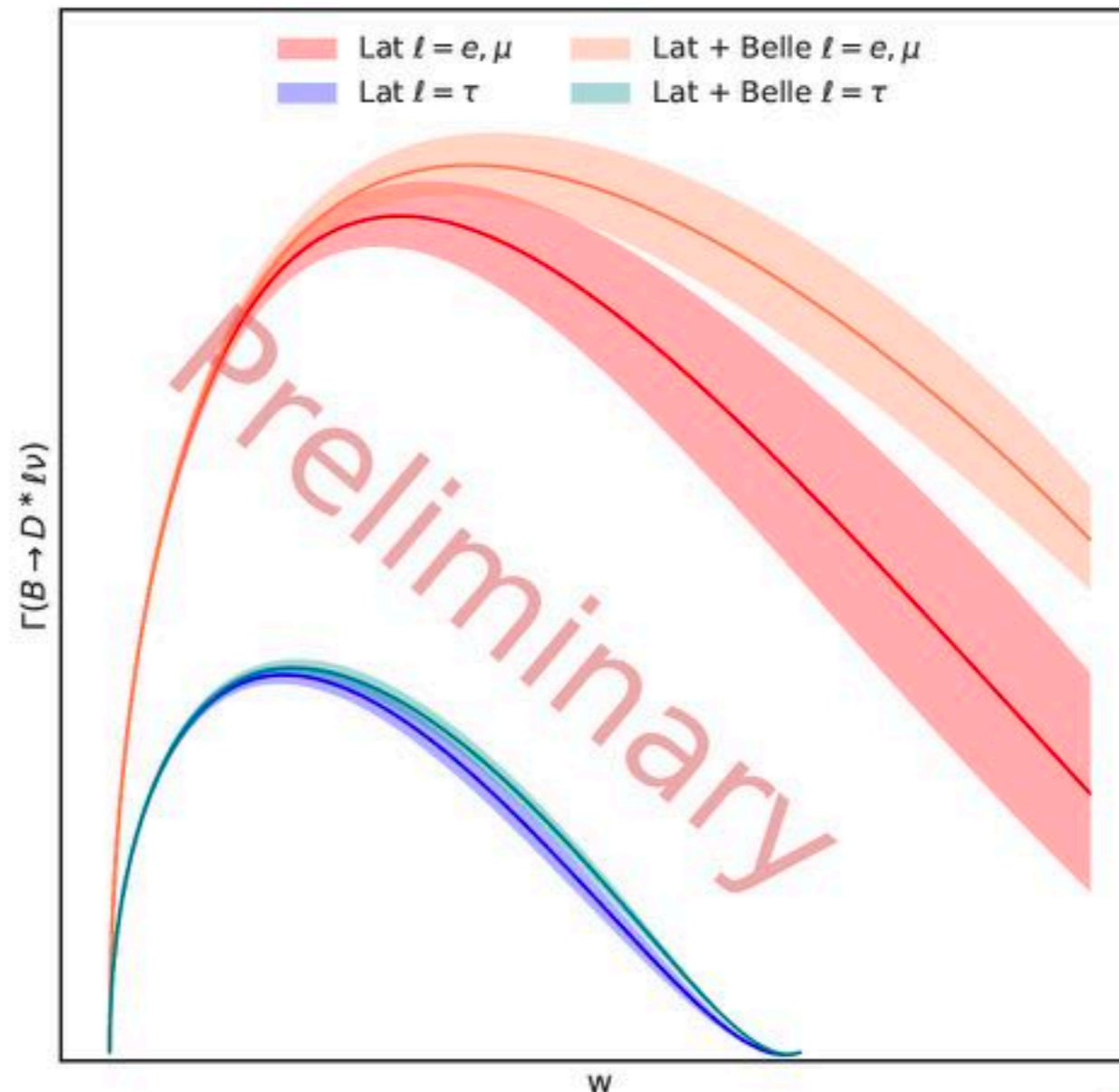
Alejandro Vaquero, $B \rightarrow D^*$ form factors at non-zero recoil

- much anticipated, preliminary (still blinded) results over a small range of momentum transfer.
- do not anticipate significant reduction in $|V_{cb}|$ uncertainty, but slope at zero recoil ($w=1$) will weigh in on CLN vs BGL



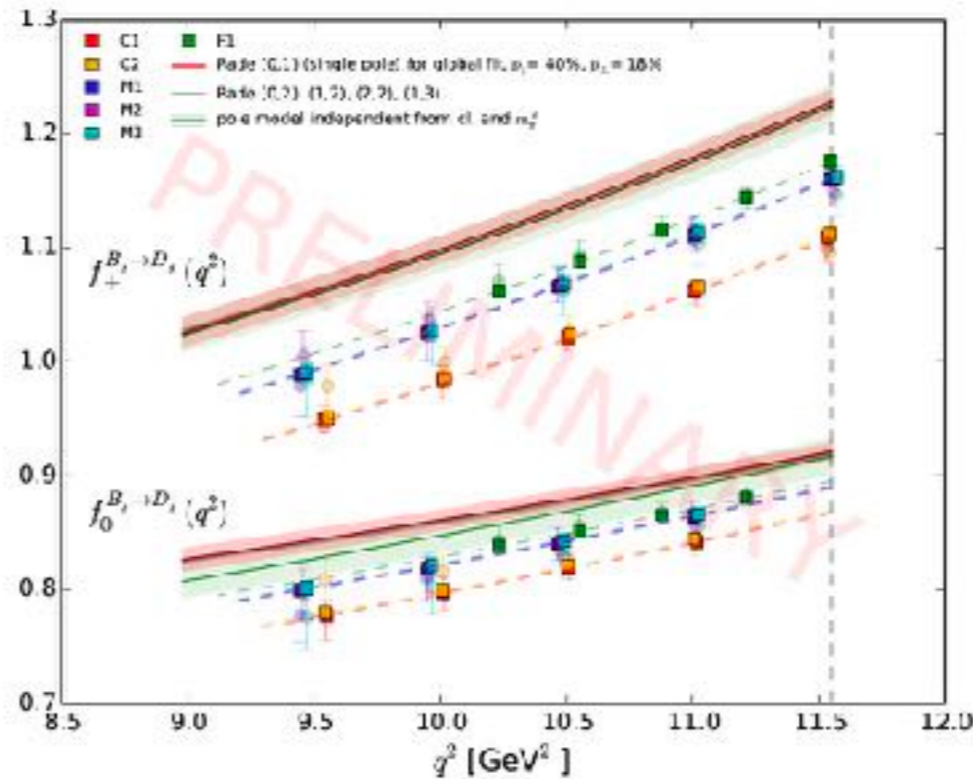
Alejandro Vaquero, $B \rightarrow D^*$ form factors at non-zero recoil

- Pure lattice QCD prediction of $R(D^*)$
- Probably underestimating errors (prepared last week)
- Lattice very reliable up to the point we have lattice data
- Sensitive to the slope in \mathcal{F}



Oliver Witzel,

Nonperturbative calculations of form factors for exclusive semileptonic B_s decays (joint with WG1)



Conclusion

- ▶ Second (third) entirely independent analysis about to be completed
- ▶ In the final stages to complete $B_s \rightarrow K \ell \nu$ and $B_s \rightarrow D_s \ell \nu$ form factor calculation
 - As usual, carefully estimating all systematic uncertainties is tedious
- ▶ Our lattice calculation also includes
 - $B \rightarrow \pi \ell \nu$, $B \rightarrow \pi \ell^+ \ell^-$
 - $B \rightarrow K^* \ell^+ \ell^-$
 - $B \rightarrow D^{(*)} \ell \nu$
 - $B_s \rightarrow K^* \ell^+ \ell^-$
 - $B_s \rightarrow D_s^* \ell \nu$
 - $B_s \rightarrow \phi \ell^+ \ell^-$
- ▶ Future
 - Add $48^3 \times 96$ ensemble with physical pions

Paolo Gambino, $|V_{cb}|$ determination from inclusive semileptonic decays

- reviewed inclusive approach
- continued effort to improve inclusive $b \rightarrow cl\nu$
 - no signs of inconsistency
 - good understanding of higher power contributions

PROSPECTS for INCLUSIVE V_{cb}

- Theoretical uncertainties already dominant
- theoretical correlations between different moments?
- $O(\alpha_s/m_b^3)$ calculation under way
- $O(1/m_Q^{4,5})$ effects need further investigation but small effect on V_{cb}
- NNNLO corrections to total width feasible, needed for 1% uncertainty?
- Electroweak (QED) corrections require attention
- New observables in view of Belle-II: FB asymmetry proposed by S.Turczyk could be measured already by Babar and Belle now
- Lattice QCD information on local matrix elements is the next frontier, e.g.

Shoji Hashimoto, **New ideas for calculating inclusive semileptonic decays on the lattice**

- lattice QCD determination of 4pt correlator $\langle B | J J | B \rangle$ at unphysical kinematics relevant to inclusive determinations of V_{cb} , coordination with Paolo
- exciting, exploratory study

Partial decay rate:

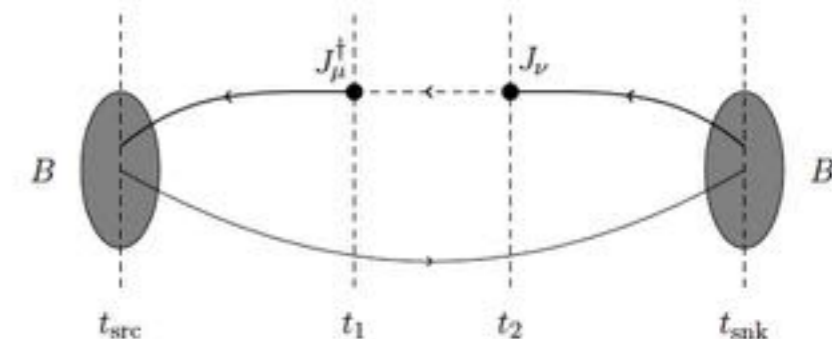
$$d\Gamma \sim |V_{cb}|^2 l^{\mu\nu} W_{\mu\nu}$$

$$W_{\mu\nu} = \sum_X (2\pi)^3 \delta^4(p_B - q - p_X) \frac{1}{2M_B} \langle B(p_B) | J_\mu^\dagger(0) | X \rangle \langle X | J_\nu(0) | B(p_B) \rangle$$

sum over all final states

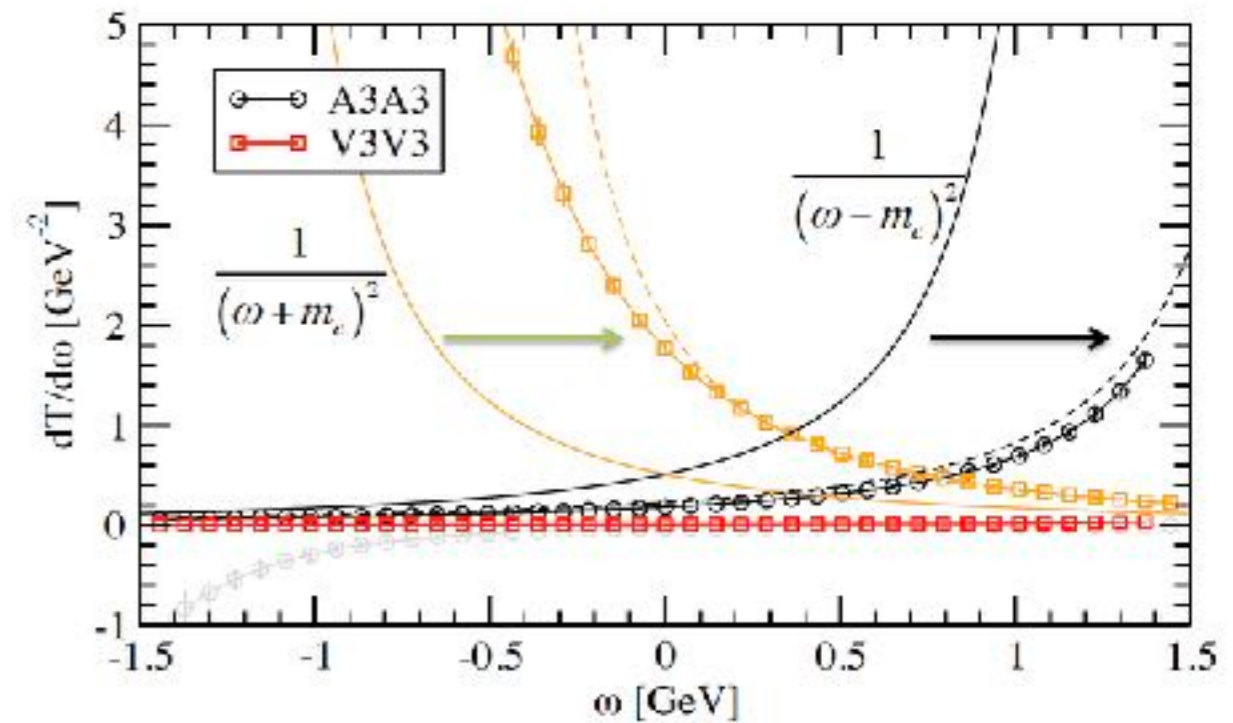
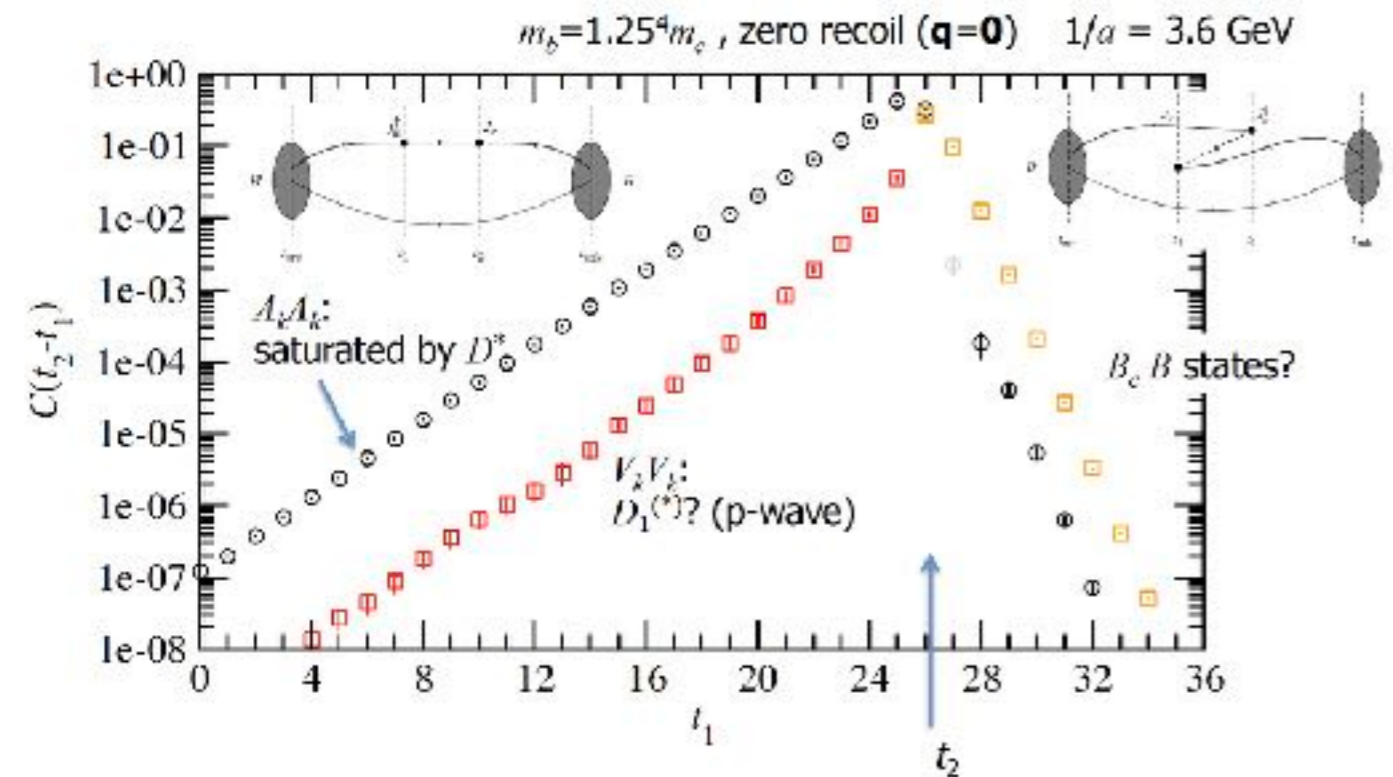
optical theorem

$$T_{\mu\nu} = i \int d^4x e^{-iqx} \frac{1}{2M_B} \langle B | T \{ J_\mu^\dagger(x) J_\nu(0) \} | B \rangle$$



Shoji Hashimoto, **New ideas for calculating inclusive semileptonic decays on the lattice**

- lattice QCD determination of 4pt correlator $\langle B | J J | B \rangle$ at unphysical kinematics relevant to inclusive determinations of V_{cb} , coordination with Paolo
- exciting, exploratory study



Shift due to $m_c \rightarrow m_D$
 or to $m_c \rightarrow m_{B_c} - m_B$

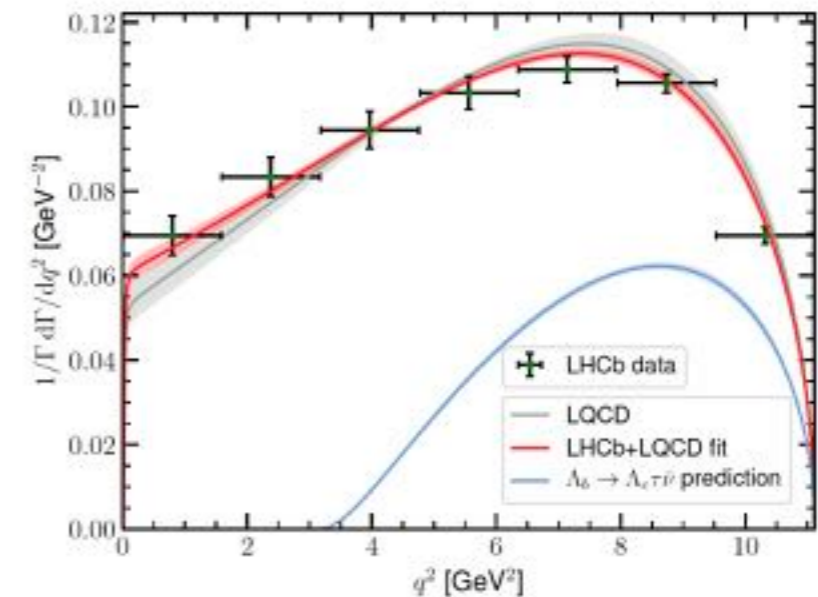
- possible application to nucleon structure

Vub and Vcb and semitauonic
*** baryonic!**

Stefan Meinel, Exclusive semileptonic baryonic b decays from lattice QCD

overview of b hadronic semileptonic decays
 ($\Lambda_b = bdu$, $\Lambda_c = cdu$, $\Lambda = sdu$)

- $\Lambda_b \rightarrow p \ell \nu$ ($b \rightarrow u \ell \nu$)
- $\Lambda_b \rightarrow \Lambda_c \ell \nu$ ($b \rightarrow c \ell \nu$)



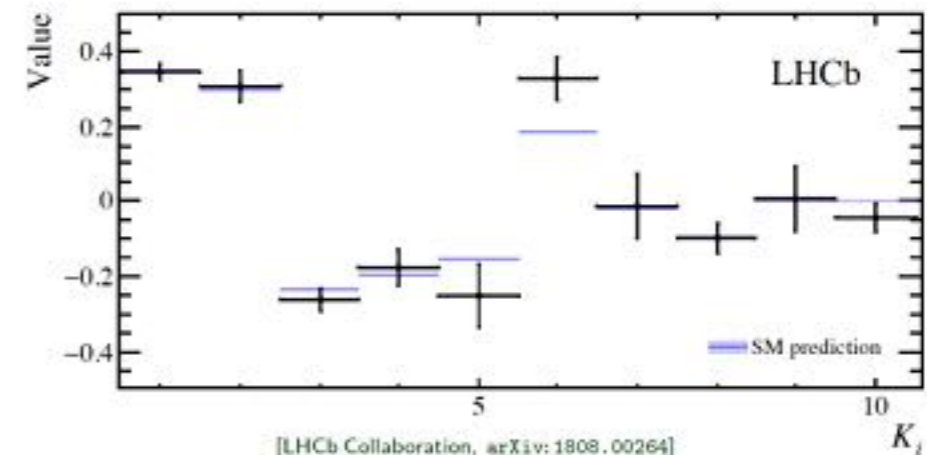
Heavy-quark symmetry provides stronger constraints for $\Lambda_b \rightarrow \Lambda_c \ell \bar{\nu}$ than for $B \rightarrow D^{(*)} \ell \bar{\nu}$

→ First determination of $\mathcal{O}(\Lambda^2/m_c^2)$ contributions to an exclusive decay

[F. Bernlochner, Z. Ligeti, D. Robinson, W. Sutcliffe, arXiv:1808.09464]

- $\Lambda_b \rightarrow \Lambda \ell \ell$ ($b \rightarrow s \ell \ell$)
- New $\Lambda_b \rightarrow \Lambda_c^*$ (negative parity)
 - $\Lambda_b \rightarrow \Lambda_c^*(2595) \ell \nu$ and $\Lambda_b \rightarrow \Lambda_c^*(2625) \ell \nu$ at large q^2
 - Λ_b to $\Lambda^*(1520) \ell \ell$ at large q^2

$$\frac{d^5\Gamma}{d\Omega} = \frac{3}{32\pi^2} \sum_i^{34} K_i f_i(\vec{\Omega}) \quad 15 < q^2 < 20 \text{ GeV}^2$$



[LHCb Collaboration, arXiv:1808.00264]

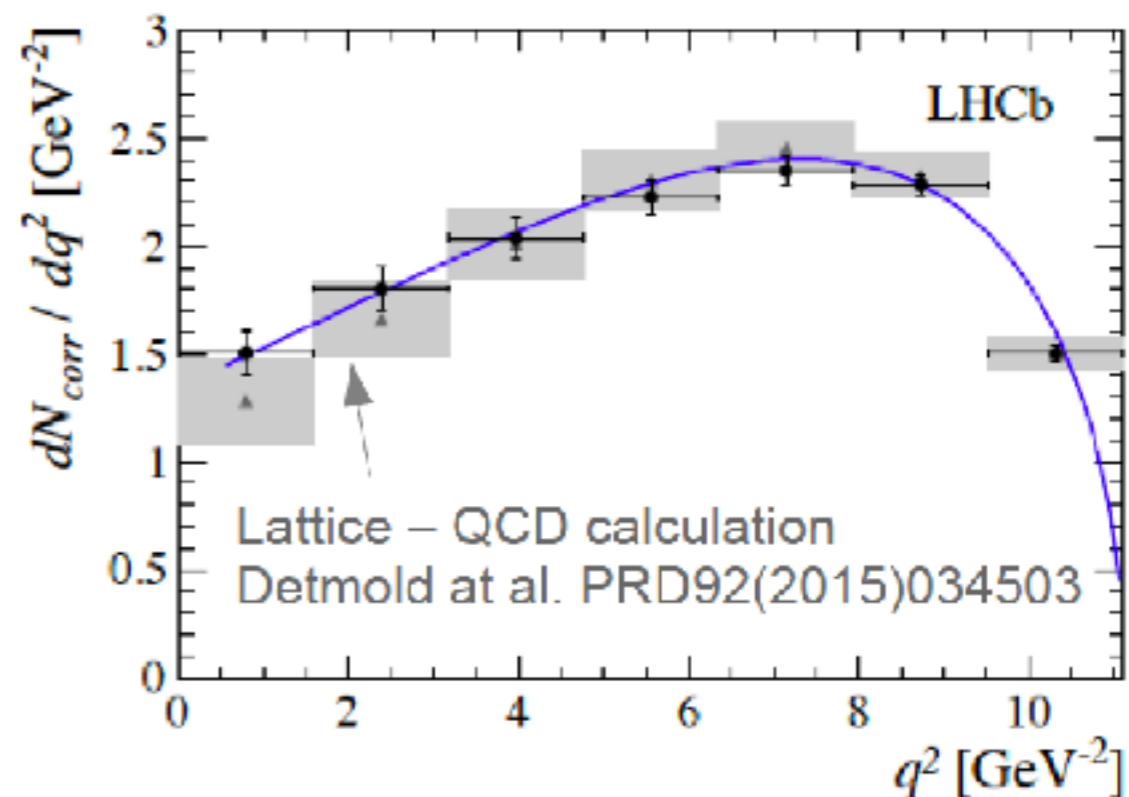
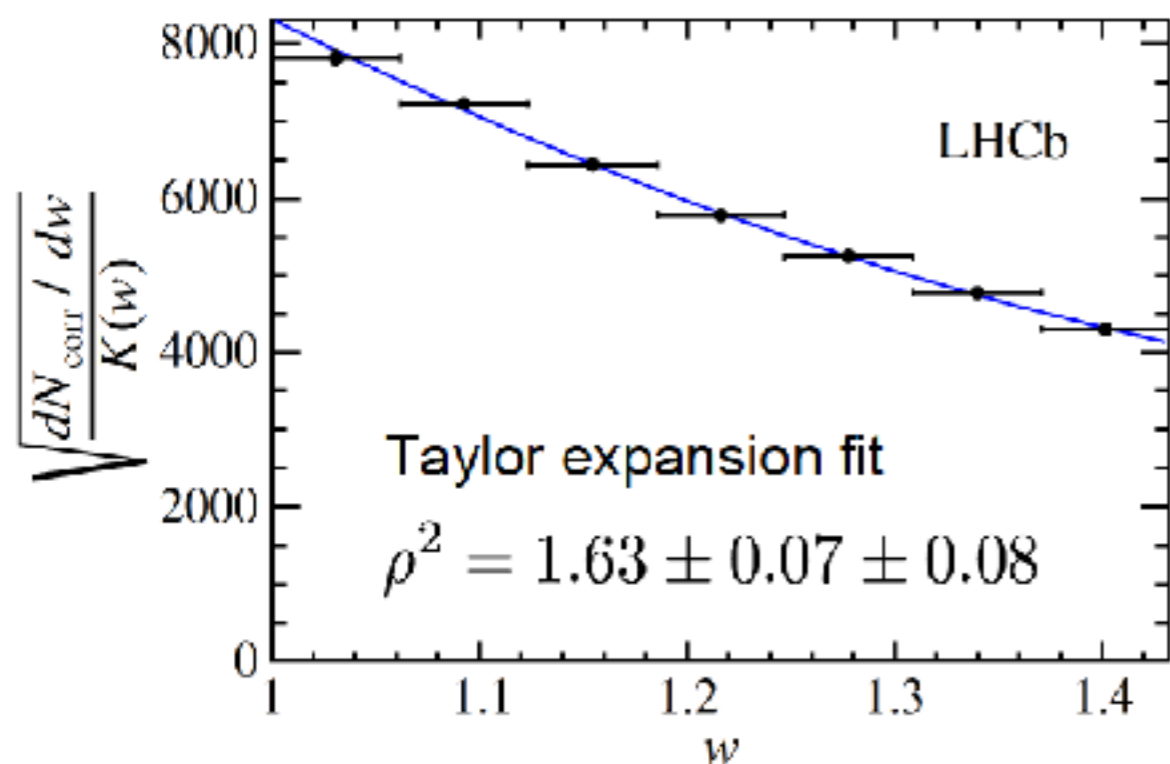
$$A_{\text{FB}}^{\ell} = \frac{3}{2} K_3, \quad A_{\text{FB}}^h = K_4 + \frac{1}{2} K_5, \quad A_{\text{FB}}^{\ell h} = \frac{3}{4} K_6$$

Note: the 2015 LHCb result for A_{FB}^{ℓ} , which deviated 3.4σ from our SM prediction, was incorrect (it was actually the CP asymmetry in $\Lambda_{\text{FB}}^{\ell}$).

→ Our Wilson coefficient fits [S. Meinel and D. van Dyk, arXiv:1603.02974/PRD 2016] need to be redone.

Marcello Rotondo, Semileptonic $\Lambda_b \rightarrow \Lambda_c^*$ decays at LHCb

- Yield of $\Lambda_b \rightarrow \Lambda_c \mu \nu$ from LHCb run 1 data 3fb^{-1} is $2.74(2) \times 10^6$ [PRD 96, 112005, 2017]
- With the clean sample, w and q^2 are extracted.
- Sensitivity study of $\Lambda_b \rightarrow \Lambda_c^* \mu \nu$ [JHEP 06, 155, 2018]
- properties of SL decays of b baryons can be studied at LHCb with high precision
 - CKM parameters
 - LFU tests
 - lattice QCD crucial
- Expect new results by early 2019.



other B/D decays

Alexei Sibidanov, $B \rightarrow \mu \nu$ at Belle/Belle II

[Phys. Rev. Lett. 121, 031801 (2018), arXiv:1712.04123]

- full Belle data used
- measured 2.4 sigma excess
- corresponds to a branching fraction of $B \rightarrow \mu \nu$

$$\mathcal{B}(B^- \rightarrow \mu^- \bar{\nu}_\mu) = (6.46 \pm 2.22_{\text{stat}} \pm 1.6_{\text{syst}}) \times 10^{-7}$$

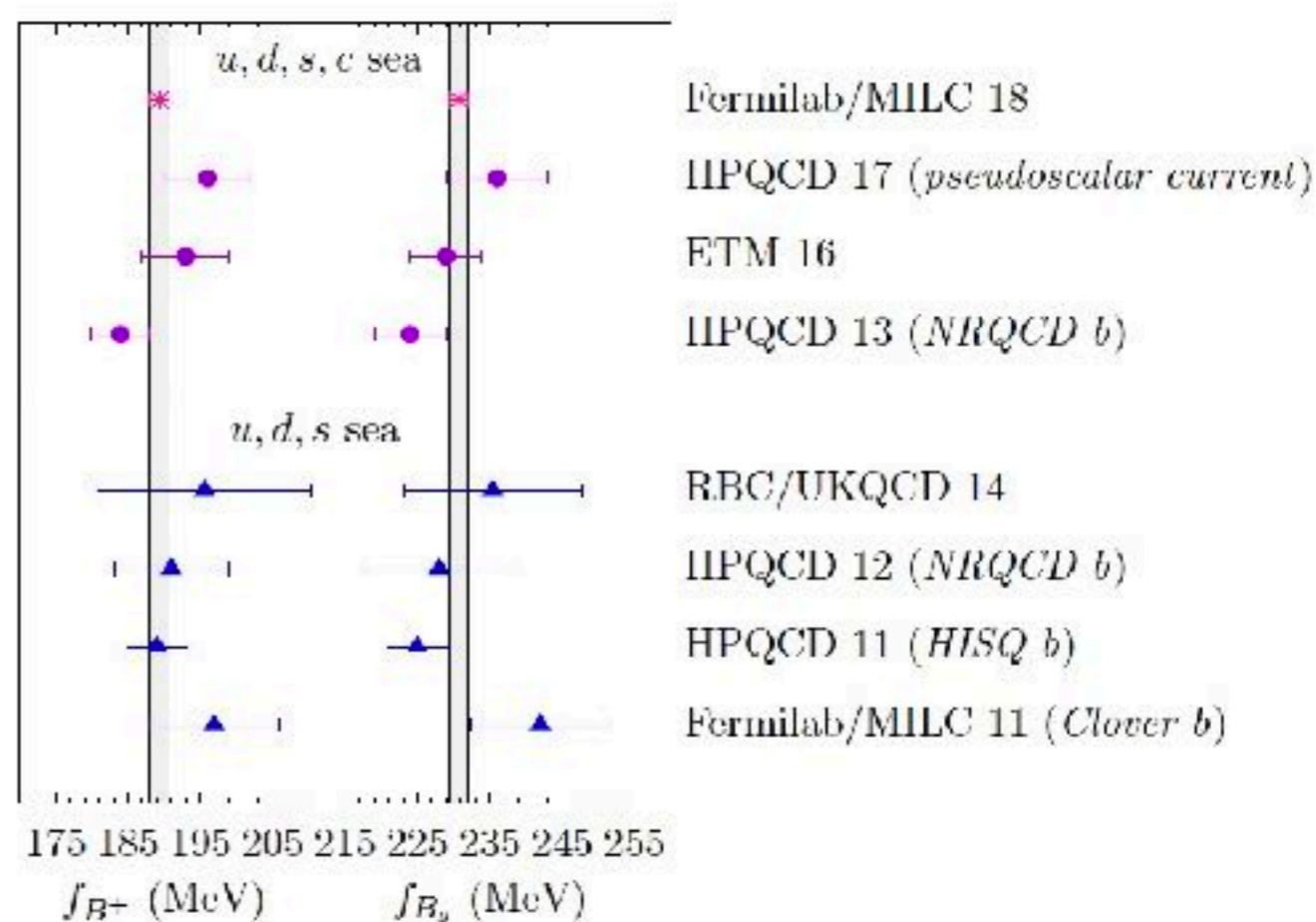
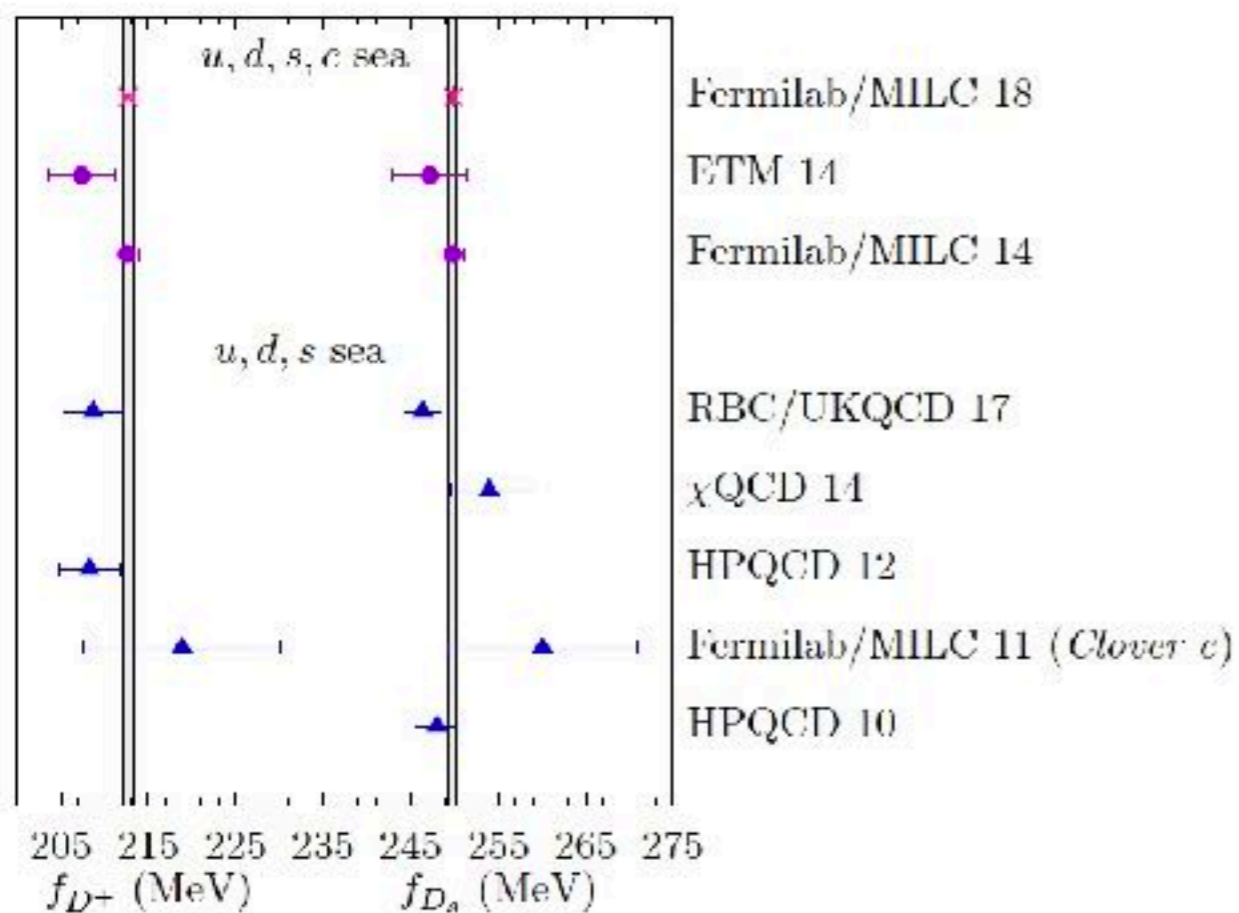
ℓ	\mathcal{B}_{SM}	$N_{\text{SM}}^{\text{Belle}} (711/\text{fb})$	$N_{\text{SM}}^{\text{Belle2}} (50/\text{ab})$
τ	$(8.46 \pm 0.70) \times 10^{-5}$	67419 ± 5570	$(4.74 \pm 0.39) \times 10^6$
μ	$(3.80 \pm 0.31) \times 10^{-7}$	303 ± 25	21300 ± 1760
e	$(8.90 \pm 0.74) \times 10^{-12}$	0.0071 ± 0.0006	0.5 ± 0.04

Adam Morris (joint with WG3) **LFU tests with semitauonic decays at LHCb**

- **Hints of LFU violation** in semitauonic B decays.
 - $R(D) - R(D^*)$: 3.8σ away from SM.
 - $R(J/\psi)$: 2σ above SM.
- LHCb results only use Run 1 data: Runs 2,3,4... will bring much larger statistics.
- Many systematics will reduce with more data and more MC
- Others will reduce with improved external measurements (BESIII, Belle II)
- Analyses of more modes:
 - $b \rightarrow c\tau^- \bar{\nu}_\tau$: $R(D^+)$, $R(D^0)$, $R(D_s^{+(*)})$, $R(\Lambda_c^{+(*)})$...
 - $b \rightarrow u\tau^- \bar{\nu}_\tau$: $\Lambda_b^0 \rightarrow p\tau^- \bar{\nu}_\tau$, $B^+ \rightarrow p\bar{p}\tau^+ \nu_\tau$...
- New observables beyond ratios of branching fractions, e.g. angular analyses to discriminate between NP models.

Javad Komijani (joint with WG1) **Leptonic Decays of B and D Mesons from Lattice QCD**

- FNAL Lattice/MILC calc of B and D decay constants
- most precise decay constants to date



Moritz Gelb, **B to l nu gamma** at Belle

using Belle2 software framework for Belle data:

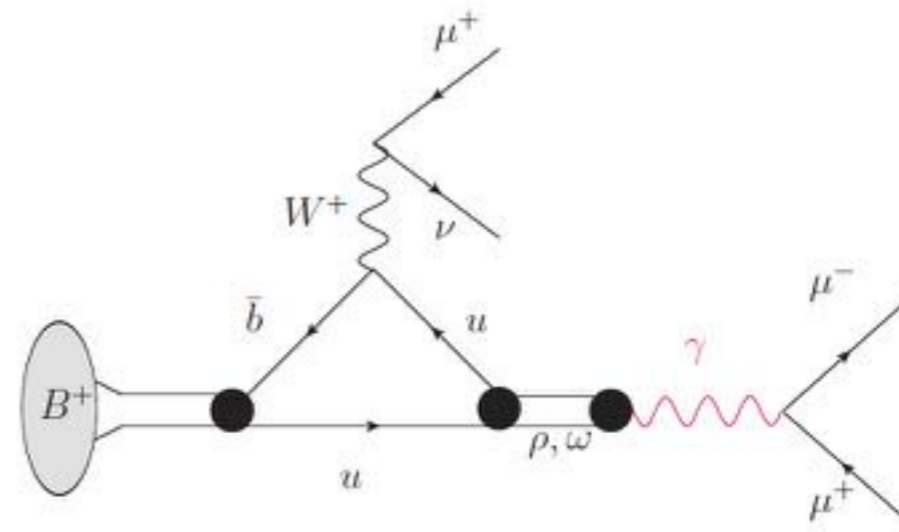
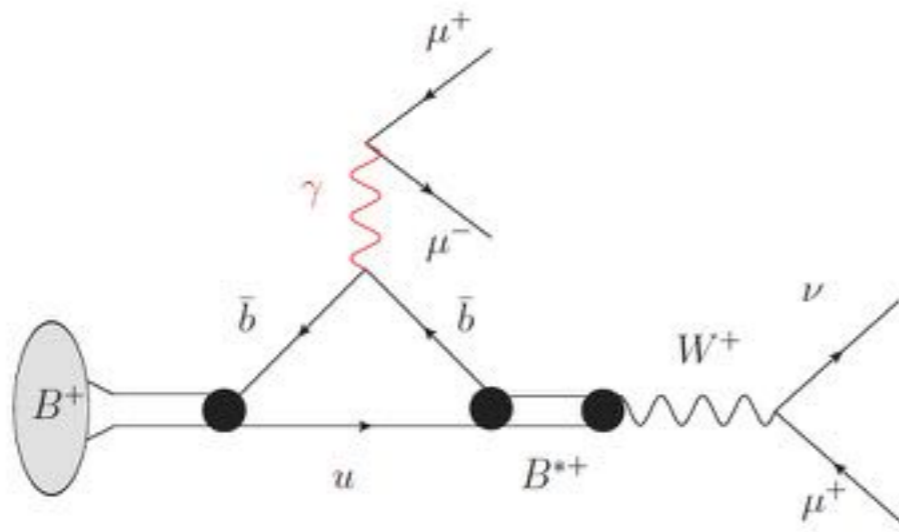
- new tagging algorithm FEI (Full Event Interpretation giving about 3 times higher efficiency than old Belle algorithm)
- using the extracted $B^+ \rightarrow \pi^0 l^+ \nu$ as control sample allows to get λ_B independent with V_{ub} , and get R_{π} in addition.

Form Factors (valid for large photon energies)

$$F_V(E_\gamma) = \frac{Q_u m_B f_B}{2E_\gamma \lambda_B} R(E_\gamma, \mu) + \left[\xi(E_\gamma) + \frac{Q_b m_B f_B}{2E_\gamma m_b} + \frac{Q_u m_B f_B}{(2E_\gamma)^2} \right]$$
$$F_A(E_\gamma) = \frac{Q_u m_B f_B}{2E_\gamma \lambda_B} R(E_\gamma, \mu) + \left[\xi(E_\gamma) - \frac{Q_b m_B f_B}{2E_\gamma m_b} - \frac{Q_u m_B f_B}{(2E_\gamma)^2} + \frac{Q_l f_B}{E_\gamma} \right]$$

	λ_B (GeV)
QCD factorization	≈ 0.2
QCD sum rules	0.46 ± 0.11
BaBar (90% C.L.)	> 0.115
Belle (2015) (90% C.L.)	> 0.238
This work (90% C.L.)	> 0.24

Svende Annelies Braun, $B \rightarrow 3 \mu \nu$ at LHCb



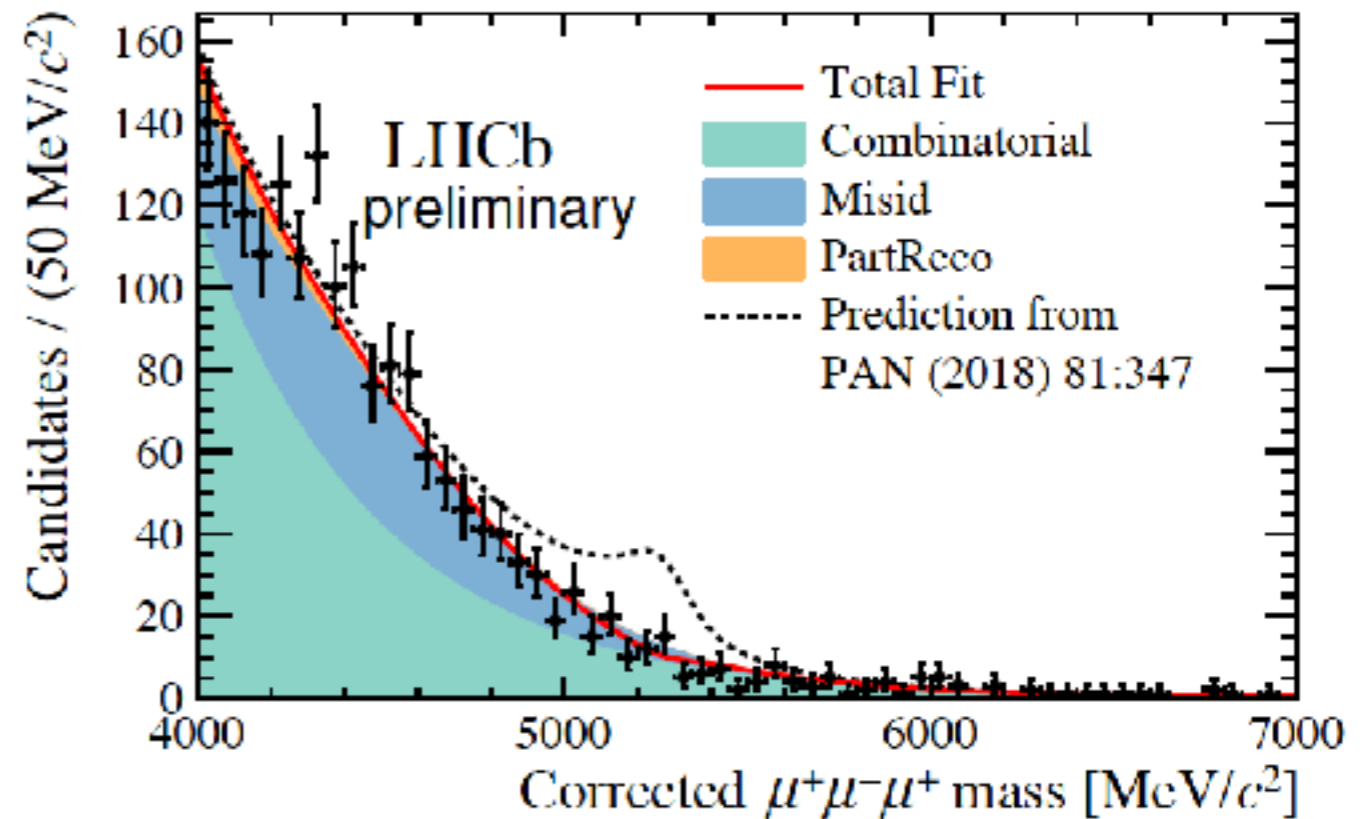
no signal found in 4.7 fb⁻¹ LHCb data,

set upper limit of BF < 1.4 x 10⁻⁸ at 95% C.L.,

poor agreement with recent theory prediction of 1.3X10⁻⁷

largest sys. uncertainty due to decay model of single channel (PHSP used)

result prepared to be published.



Rusa Mandal, **A unified resolution to B anomalies with lepton mixing**

[PRL 119, 151801 (2018)] and [NPB 933 (2018) 433-45]

Effective operators

► NP operators with 2nd & 3rd generation fields

$$\mathcal{H}^{\text{NP}} = A_1 (\bar{Q}_{2L} \gamma_\mu L_{3L}) (\bar{L}_{3L} \gamma^\mu Q_{3L}) + A_2 (\bar{Q}_{2L} \gamma_\mu Q_{3L}) (\bar{\tau}_R \gamma^\mu \tau_R)$$

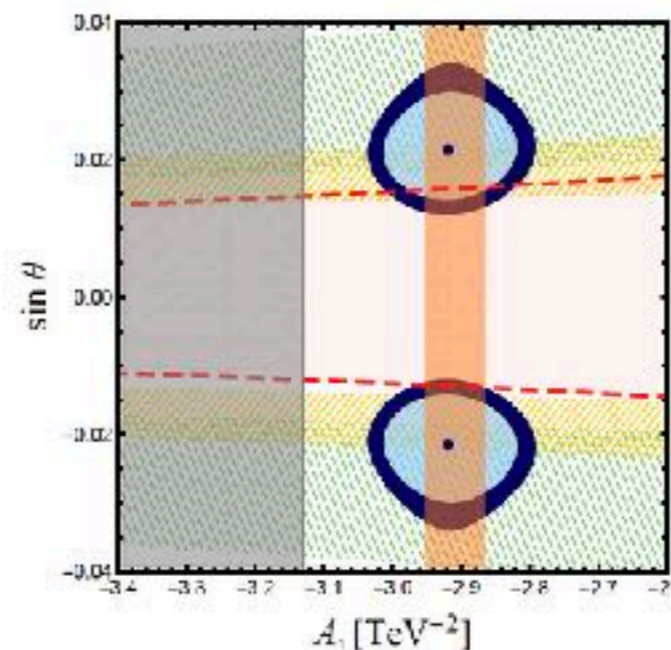
- constraints from SM-consistent experimental results

- B_s to $\mu\mu$
- B to $K^{(*)} \nu\nu$
- B to $K \mu\tau$
- B_s to $\tau\tau$
- B_c to $\tau\nu$

- try to explain

- $R(K^{(*)})$
- $R(D^{(*)})$

Results



Allowing 20% breaking

$$A_2 = 4A_1/5$$

from quantum corrections
or unknown dynamics of the
UV completion of the model

$$\chi^2_{\text{SM}}/\text{d.o.f} \simeq 6.6 \quad \longrightarrow \quad \chi^2_{\text{allowed region}}/\text{d.o.f} \simeq 2$$

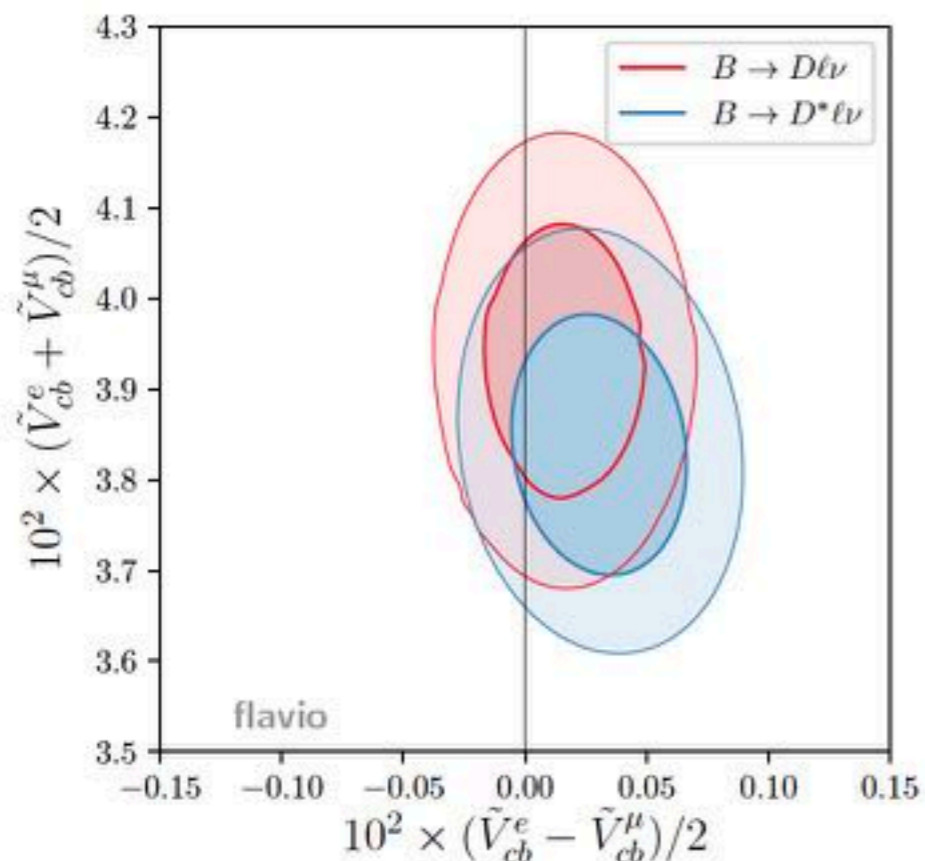
agreement within 1σ level

$R_K \simeq 0.80$, $R_{K^{* \text{ contr}}} \simeq 0.83$, $R_{K^{* \text{ low}}} \simeq 0.88$,
 $R(D^{(*)}) \simeq 1.24 \times R(D^{(*)})_{\text{SM}}$, $\Phi \simeq 3.8 \times 10^{-8} \text{GeV}^{-2}$

David Straub (joint with WG1) **New physics in $b \rightarrow c \ell \nu$ (ν not τ !)**

[1801.01112]

- light leptons with e, μ split and unfolded distributions
 - LFUV in e vs μ
 - precision V_{cb}
 - importance of shape of $d\text{Br}/dq^2$ vs integrated Br
- $B \rightarrow D^* \ell \nu$ precludes large right-handed current
- e - μ UV constrained at 1% level
- endpoints of $B \rightarrow D^{(*)} \ell \nu$ strongly constrains scalar (tensor) ops



$$\tilde{V}_{cb}^\ell = V_{cb}(1 + C_{V_L}^{\ell\ell})$$

- ▶ compatible with universality
- ▶ agreement between D and D^*
- ▶ strong constraint on models violating e - μ universality

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- light leptons with e, mu split and unfolded distributions
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 - importance of shape of $d\text{Br}/dq^2$ vs integrated Br
- B to $D^* \ell \nu$ precludes large right-handed current
- e-mu UV constrained at 1% level
- endpoints of B to D^* $\ell \nu$ strongly constrains scalar (tensor) ops
 - ▶ At $q^2 \rightarrow 0$, SM contribution to $B \rightarrow D^* \ell \nu$ is fully longitudinal, tensor contribution isn't

$$\frac{d\Gamma_T(B \rightarrow D^* \ell \nu)}{dq^2} \propto q^2 C_{V_L}^2 (A_1(0)^2 + V(0)^2) + 16m_B^2 C_T^2 T_1(0)^2 + \mathcal{O}\left(\frac{m_{D^*}^2}{m_B^2}\right)$$

- ▶ First bin of Γ_T is extremely sensitive to C_T (much more than total rate!)

