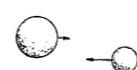


Fission dynamics and nuclear structure

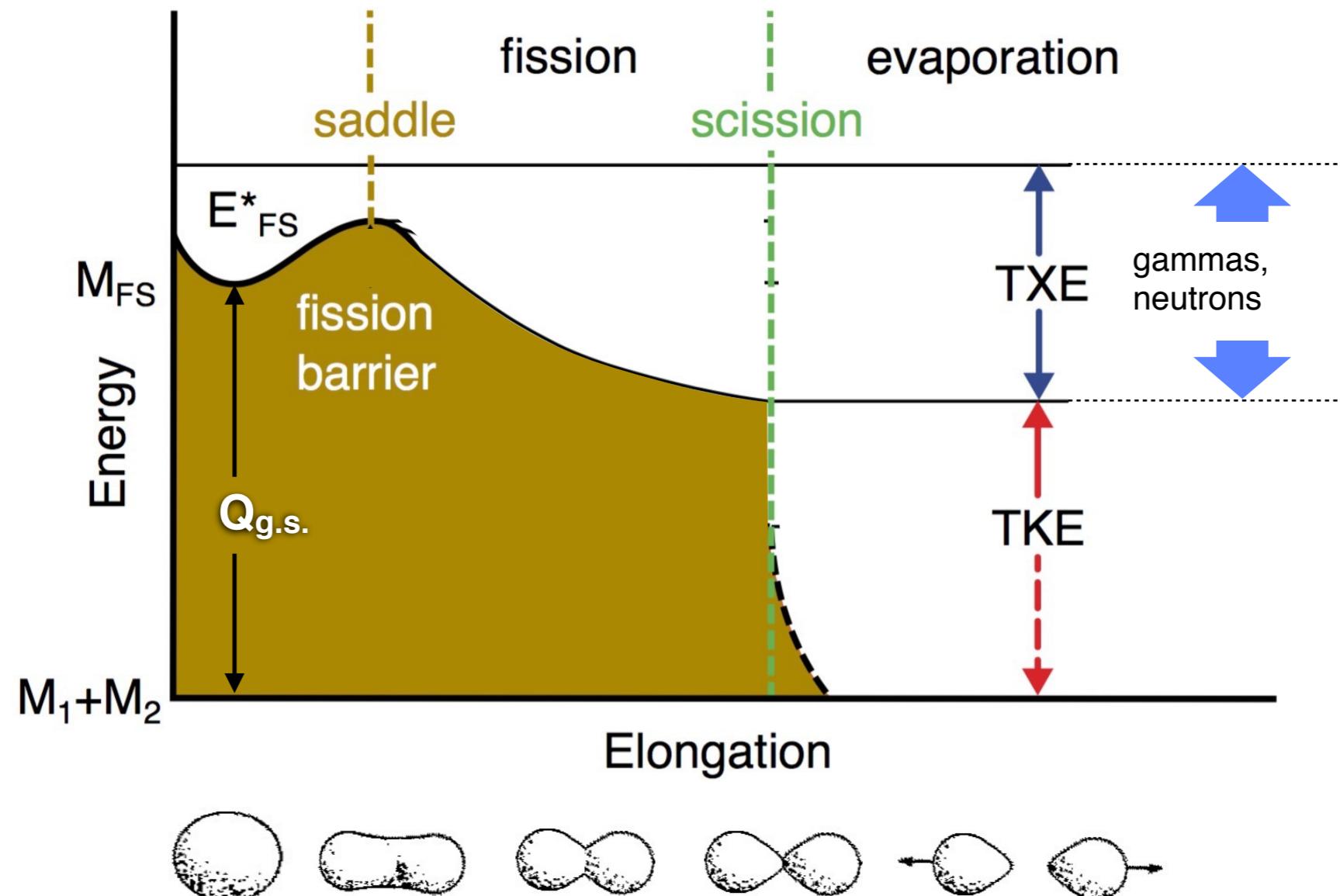
A fission campaign at GANIL (France)

M. Caamaño



A (very) brief history of fission

A macroscopic LD behaviour



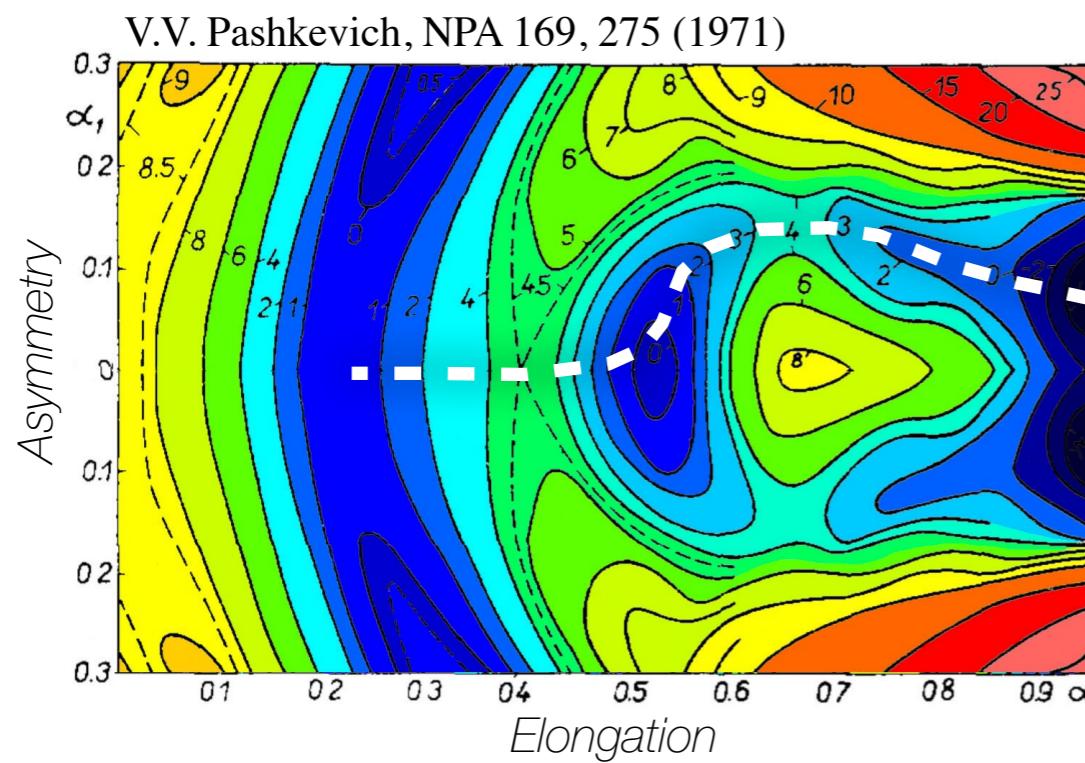
A (very) brief history of fission

A macroscopic LD behaviour shaped by structure

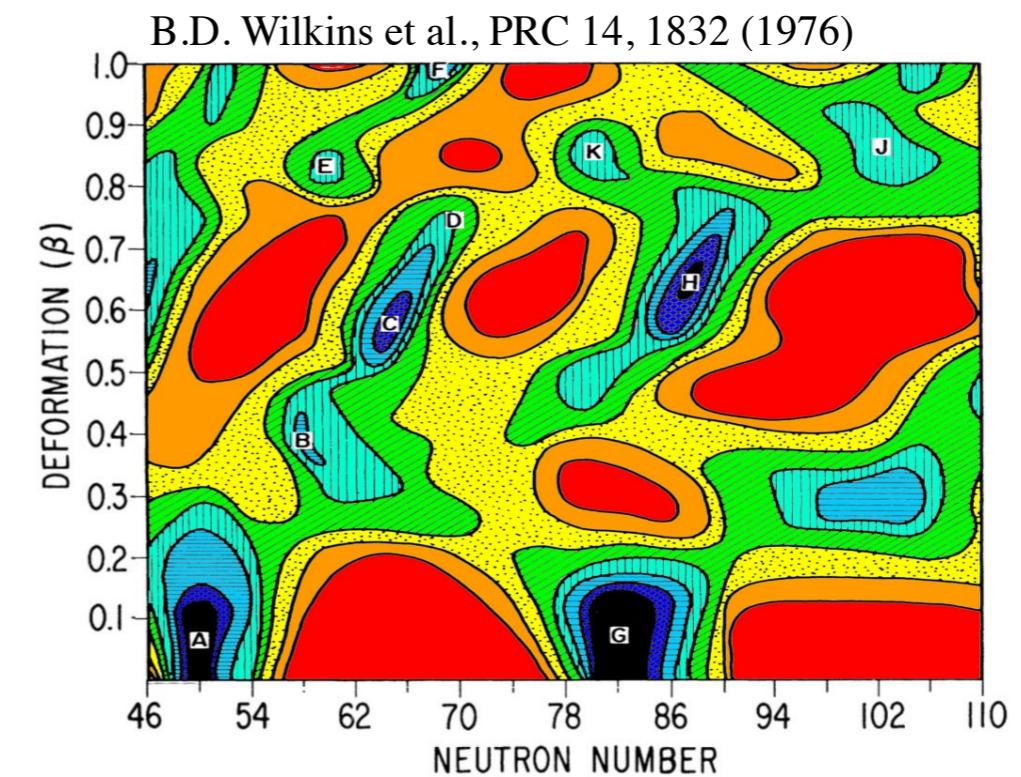
$$W = \tilde{W} + \sum_{\mathbf{p}, \mathbf{n}} (\delta U + P).$$

V.M. Strutinsky, NPA 95, 420 (1967)

at the barrier



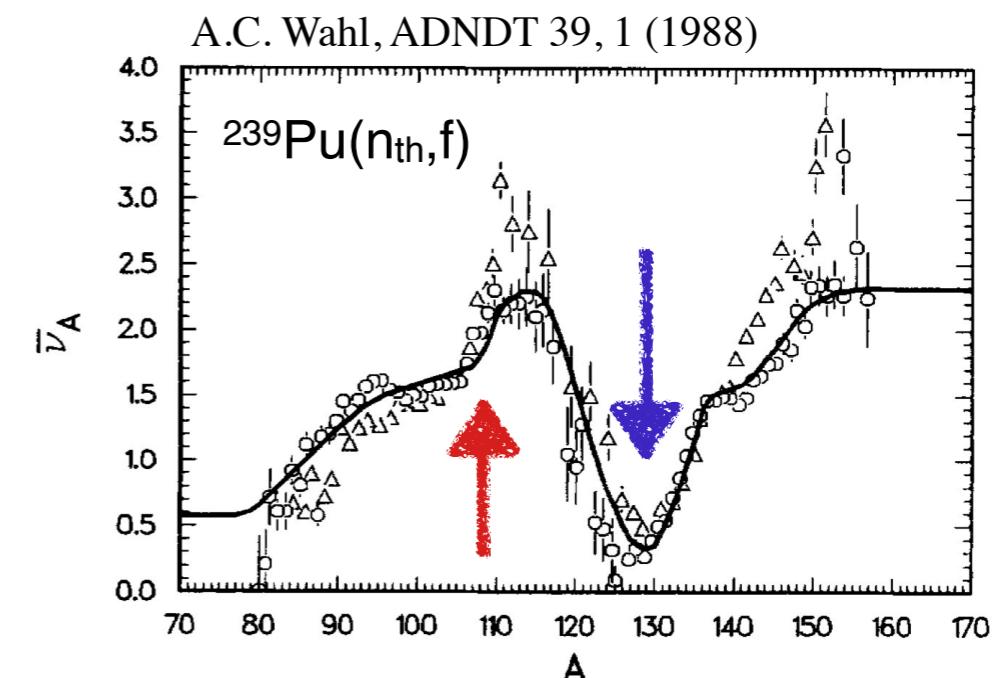
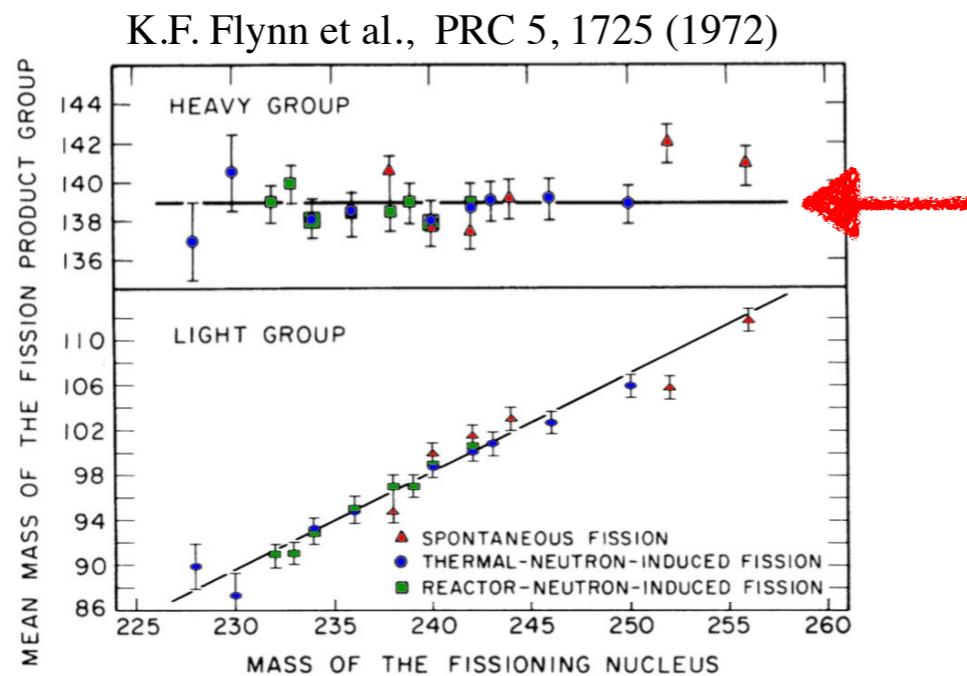
and at scission



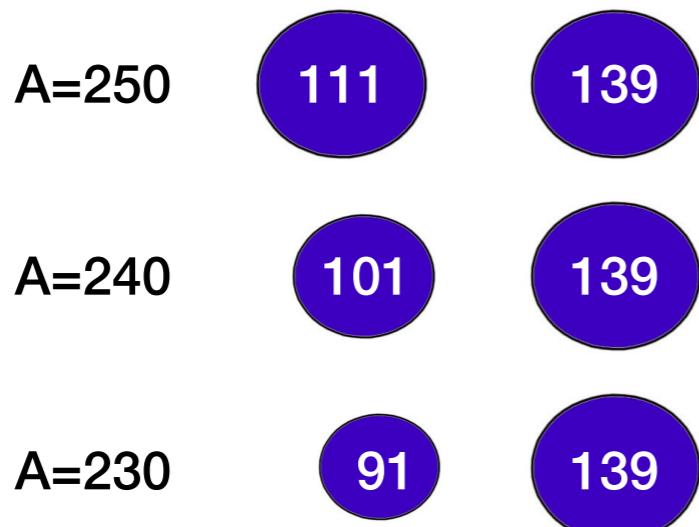
M. Caamaño

A (very) brief history of fission

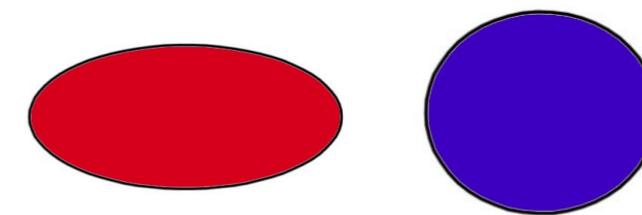
Consistent with a number of observables



Size of asymmetric fragments



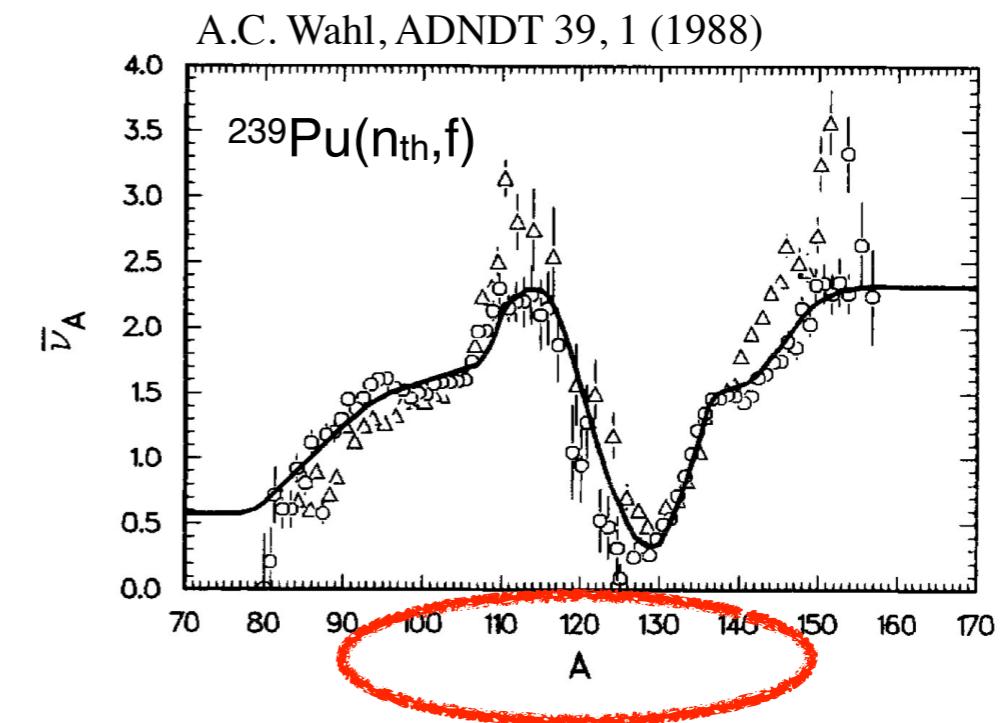
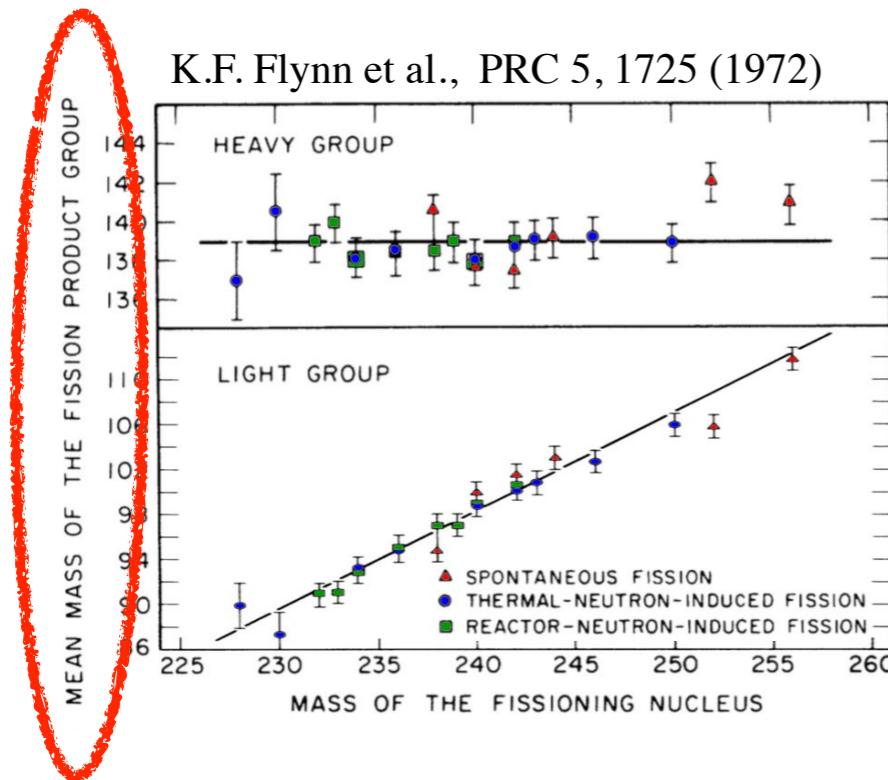
Neutron evaporation



$$\nu \propto E^{def} + E^{int}$$

A (very) brief history of fission

Fragment identification: All is Mass



Most of the data is measured in terms of fragment masses.

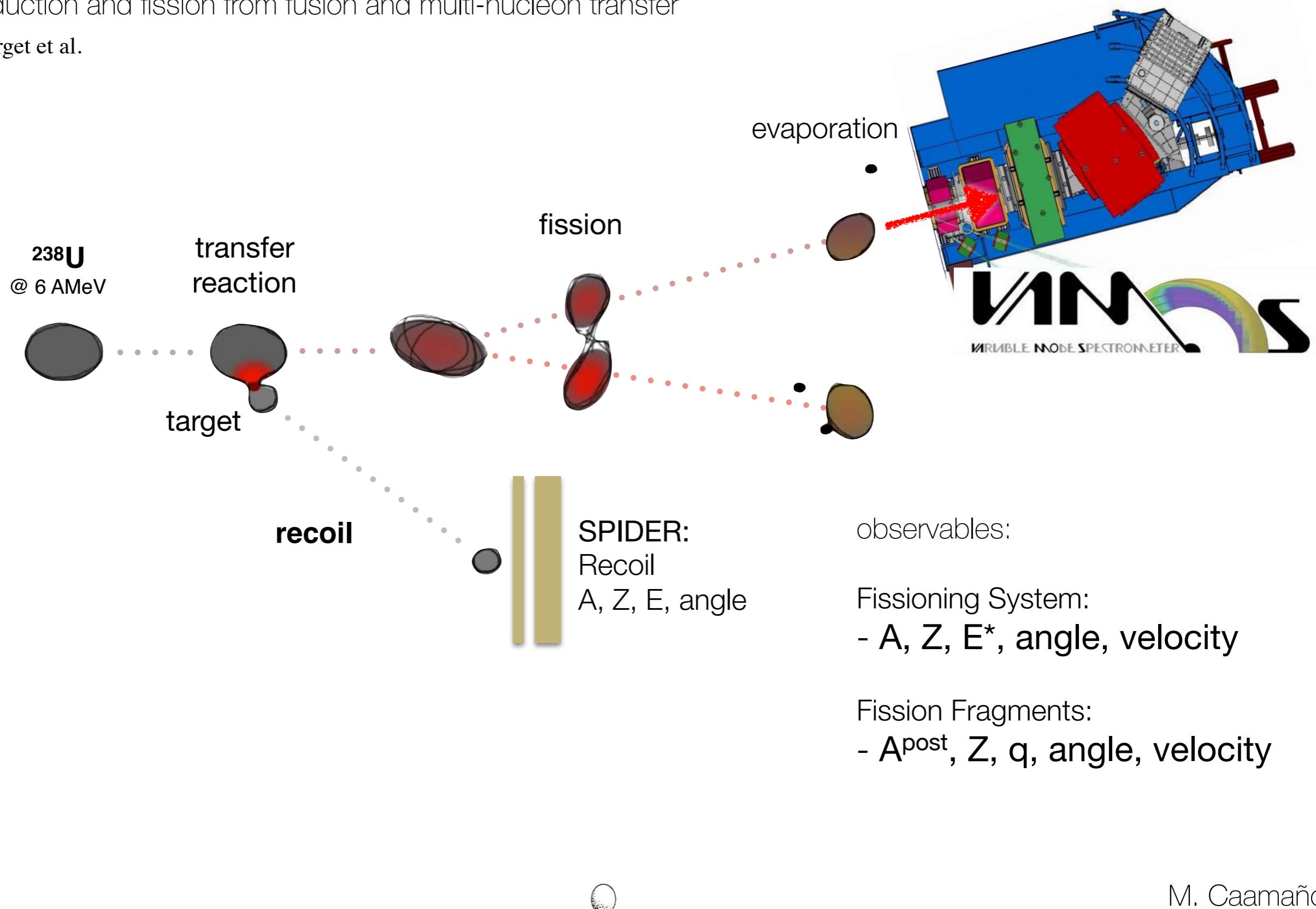
But shells and structure appear in Z and N.



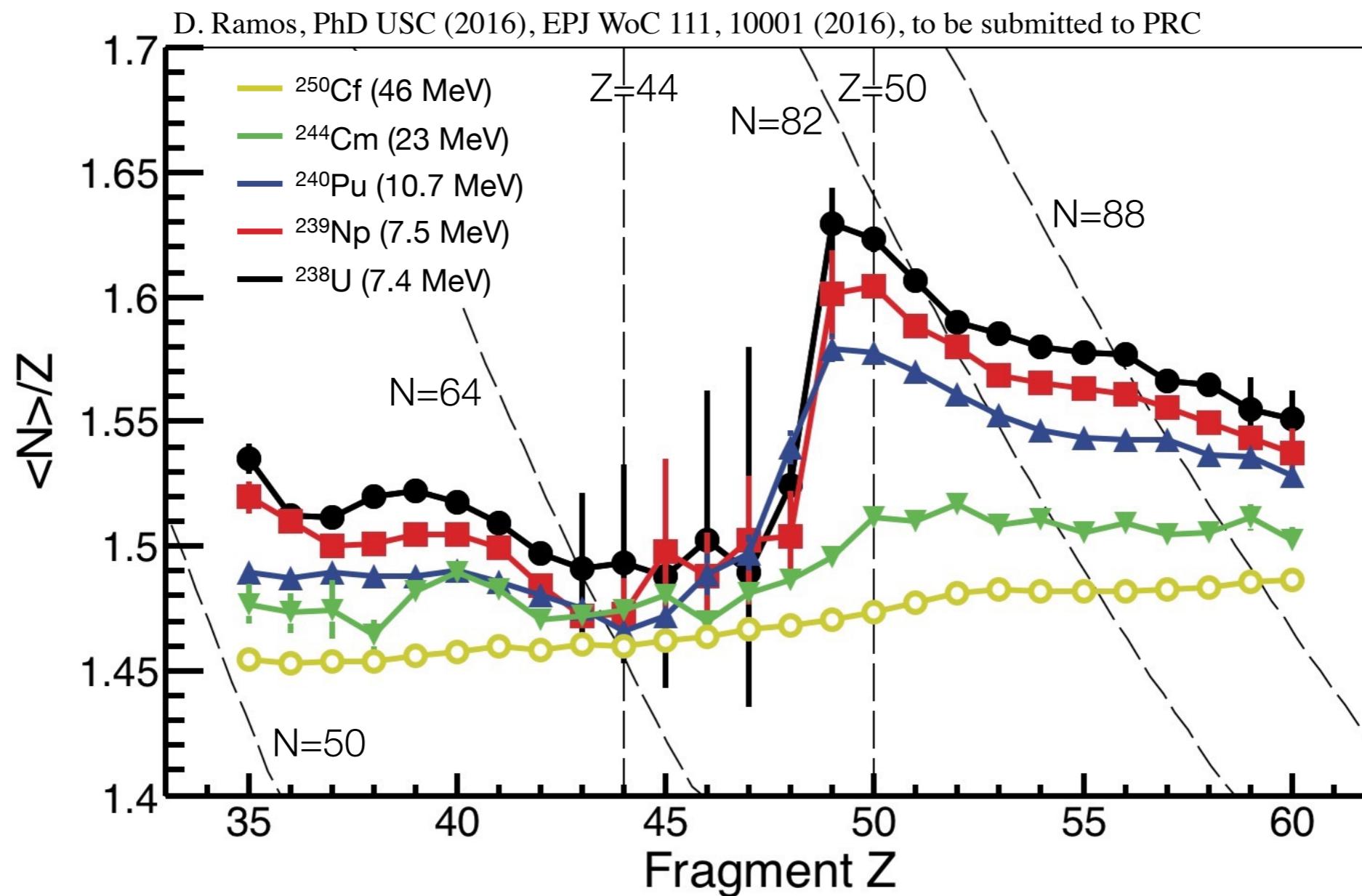
Inverse kinematics at VAMOS/GANIL:

Production and fission from fusion and multi-nucleon transfer

F. Farget et al.

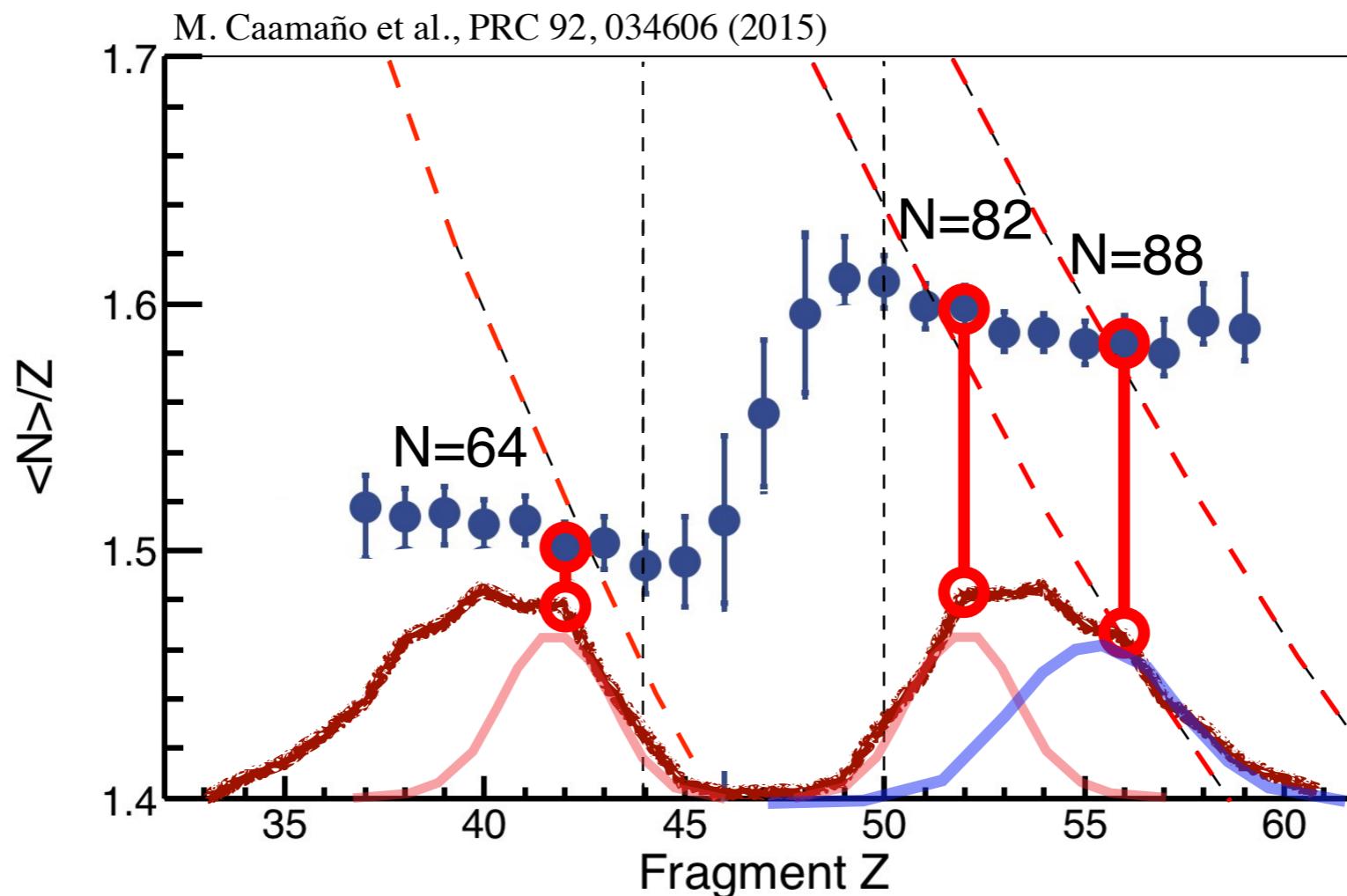


A set of revisited and new observables

Fragment N excess (N/Z)

New access to scission; the case of ^{240}Pu (9 MeV)

Fragment N excess (N/Z)

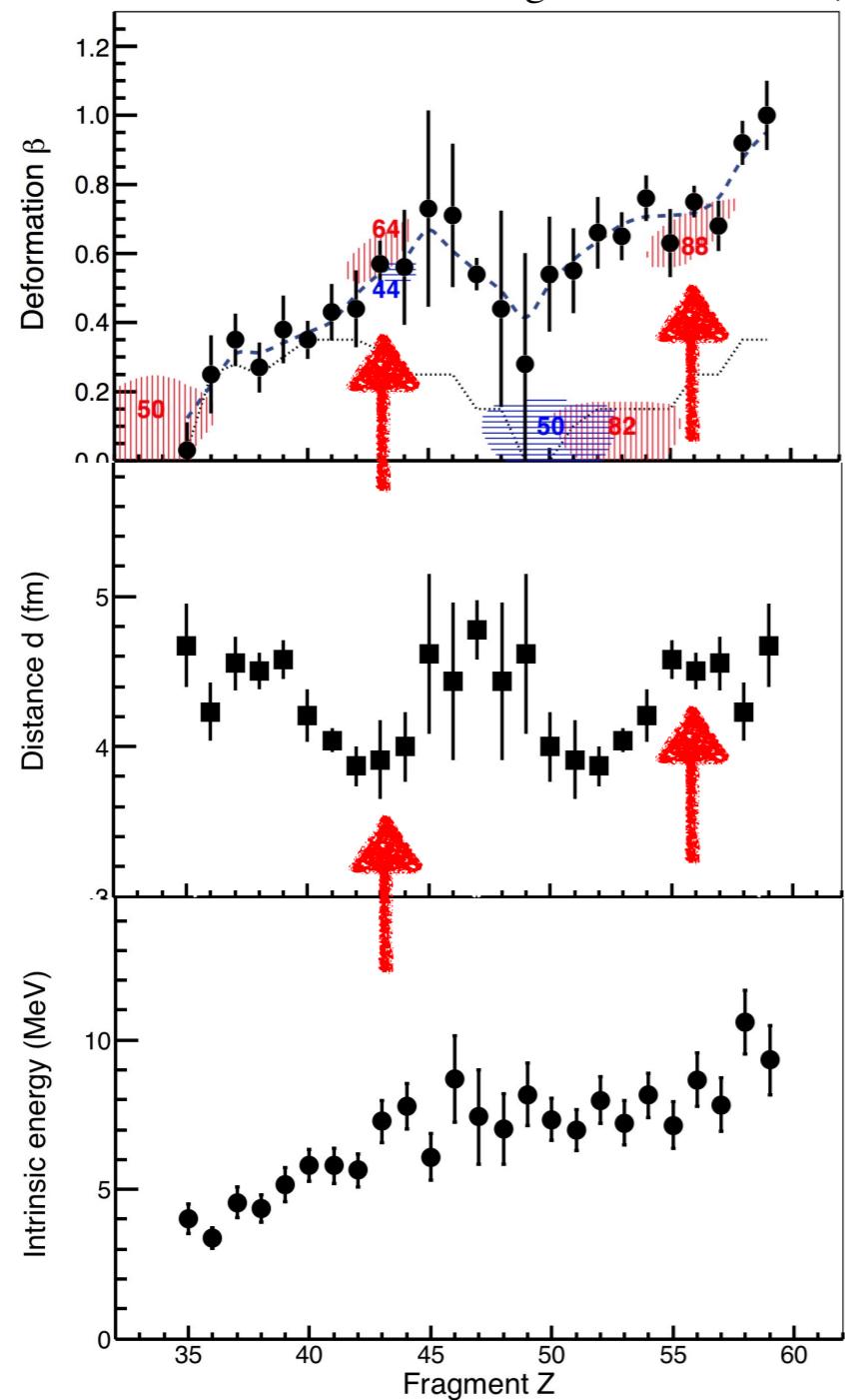


Neutron shells seem to drive the final splits



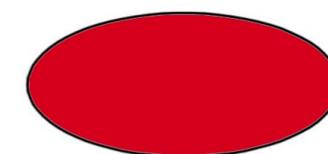
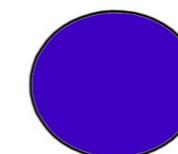
A picture of scission: shapes and energy

M. Caamaño and F. Farget, PLB 770, 72 (2017)

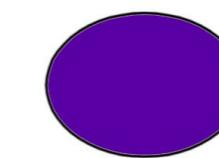


a collective picture of scission:

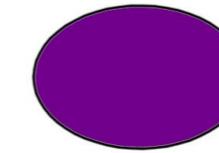
$Z_1=35, Z_2=59$



$Z_1=38, Z_2=56$



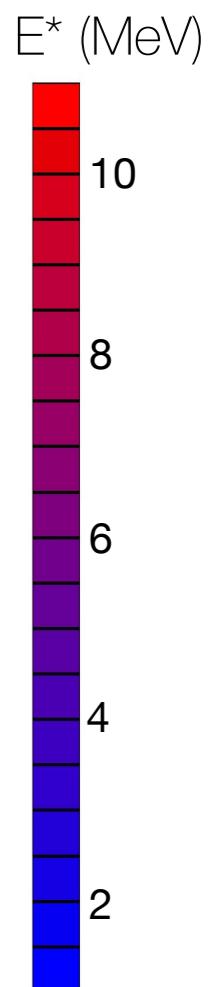
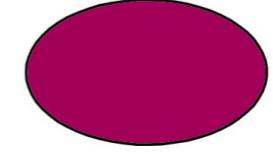
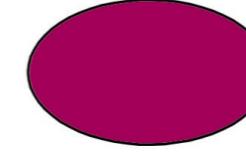
$Z_1=41, Z_2=53$



$Z_1=44, Z_2=50$

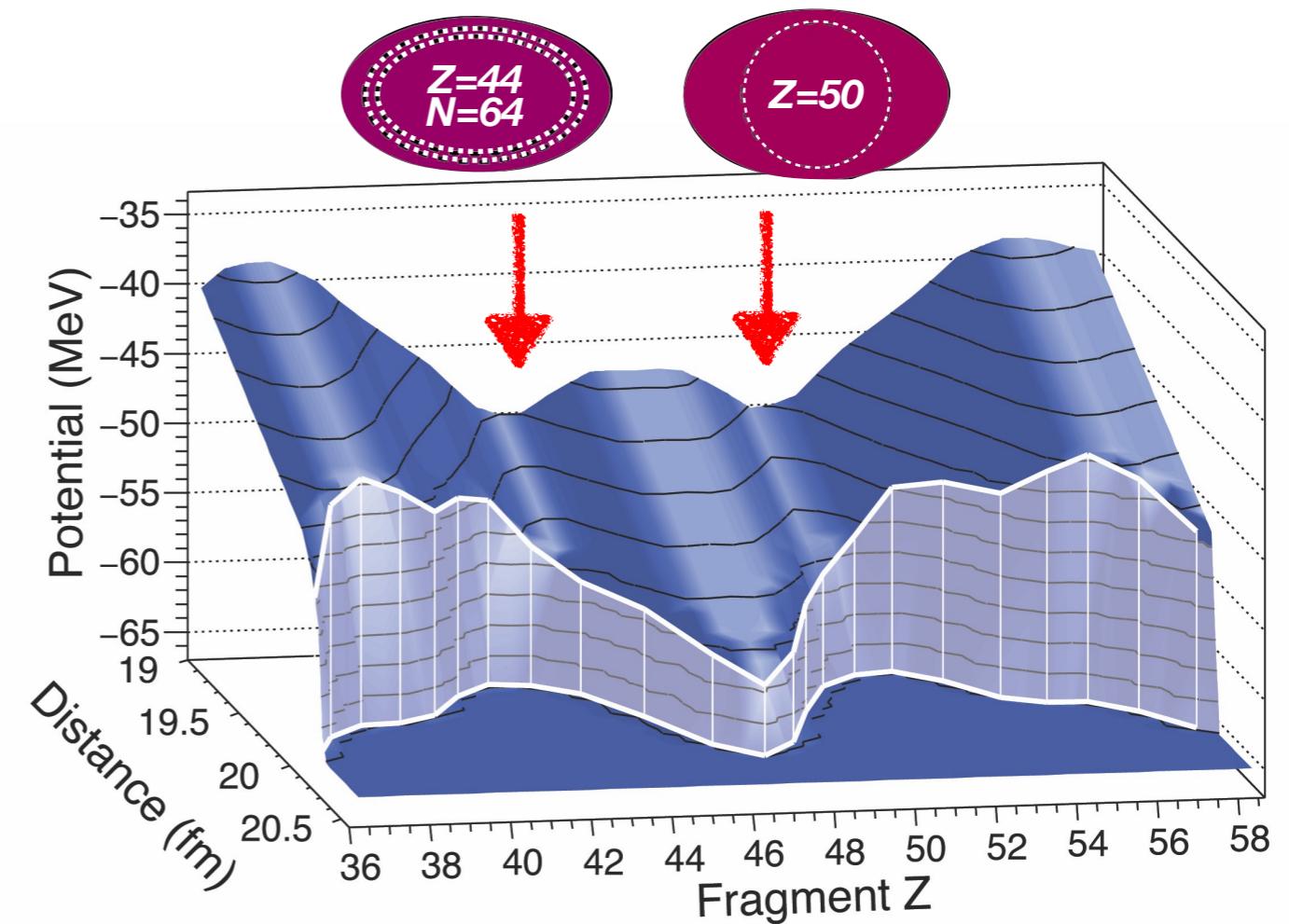
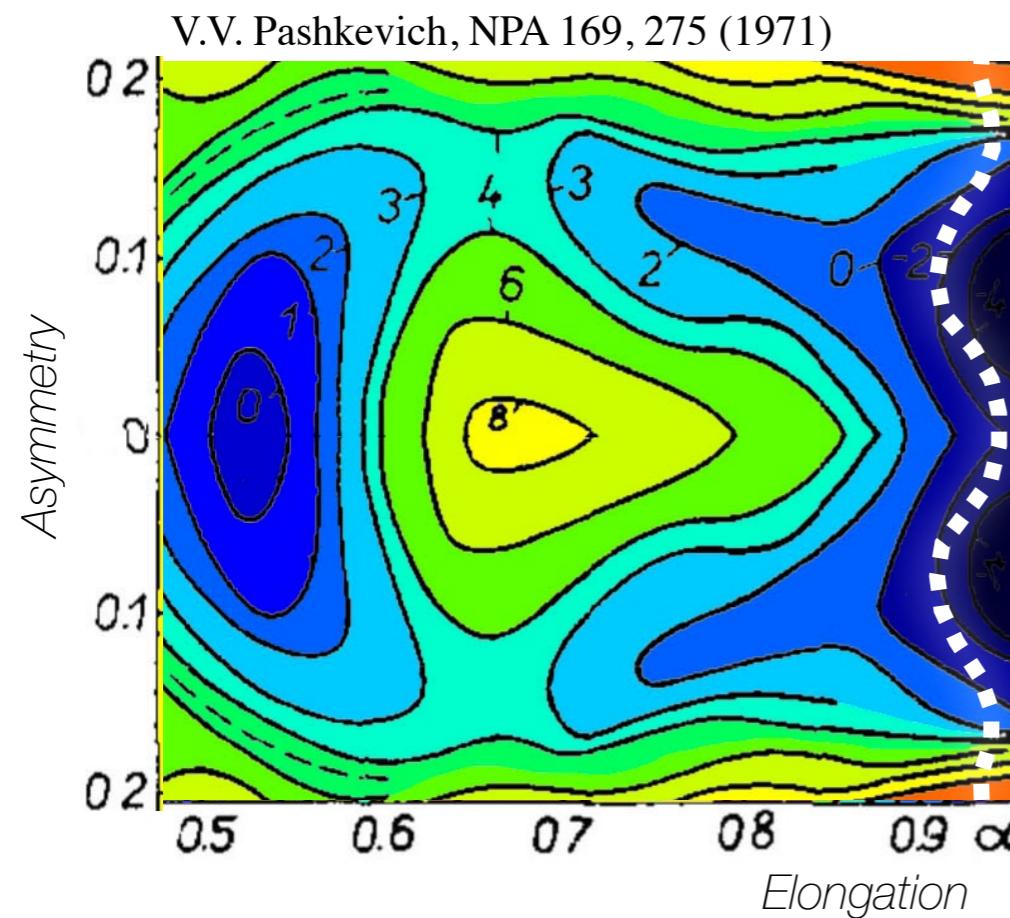


$Z_1=47, Z_2=47$



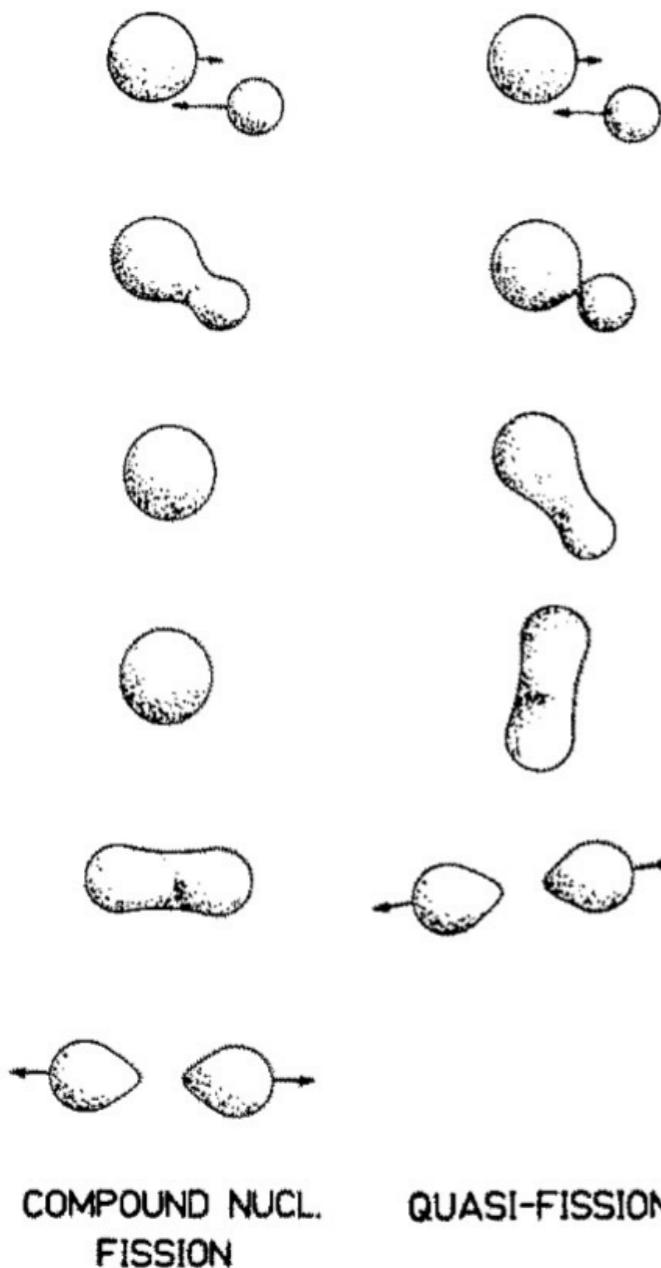
A picture of scission

and a sneak peek of the potential landscape:

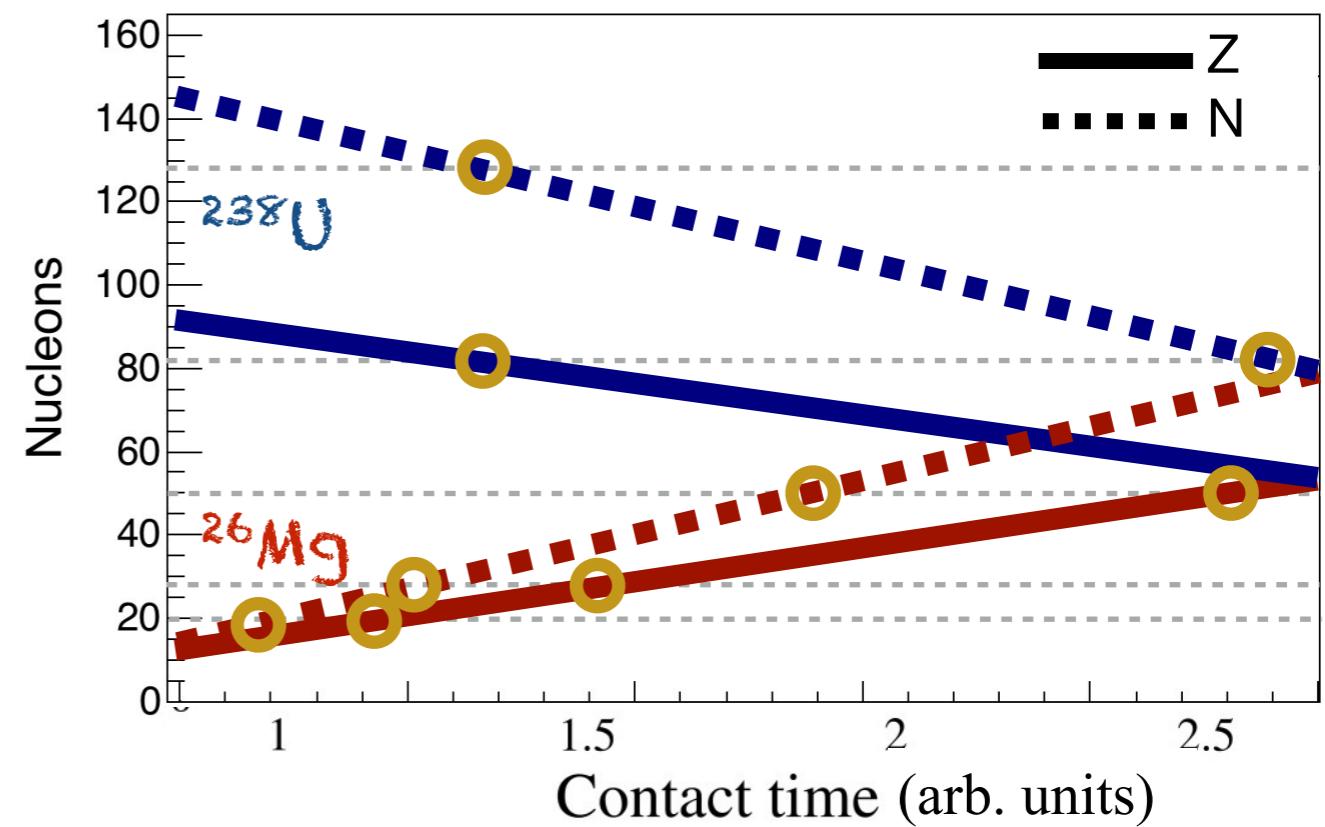


What else? quasi-fission!

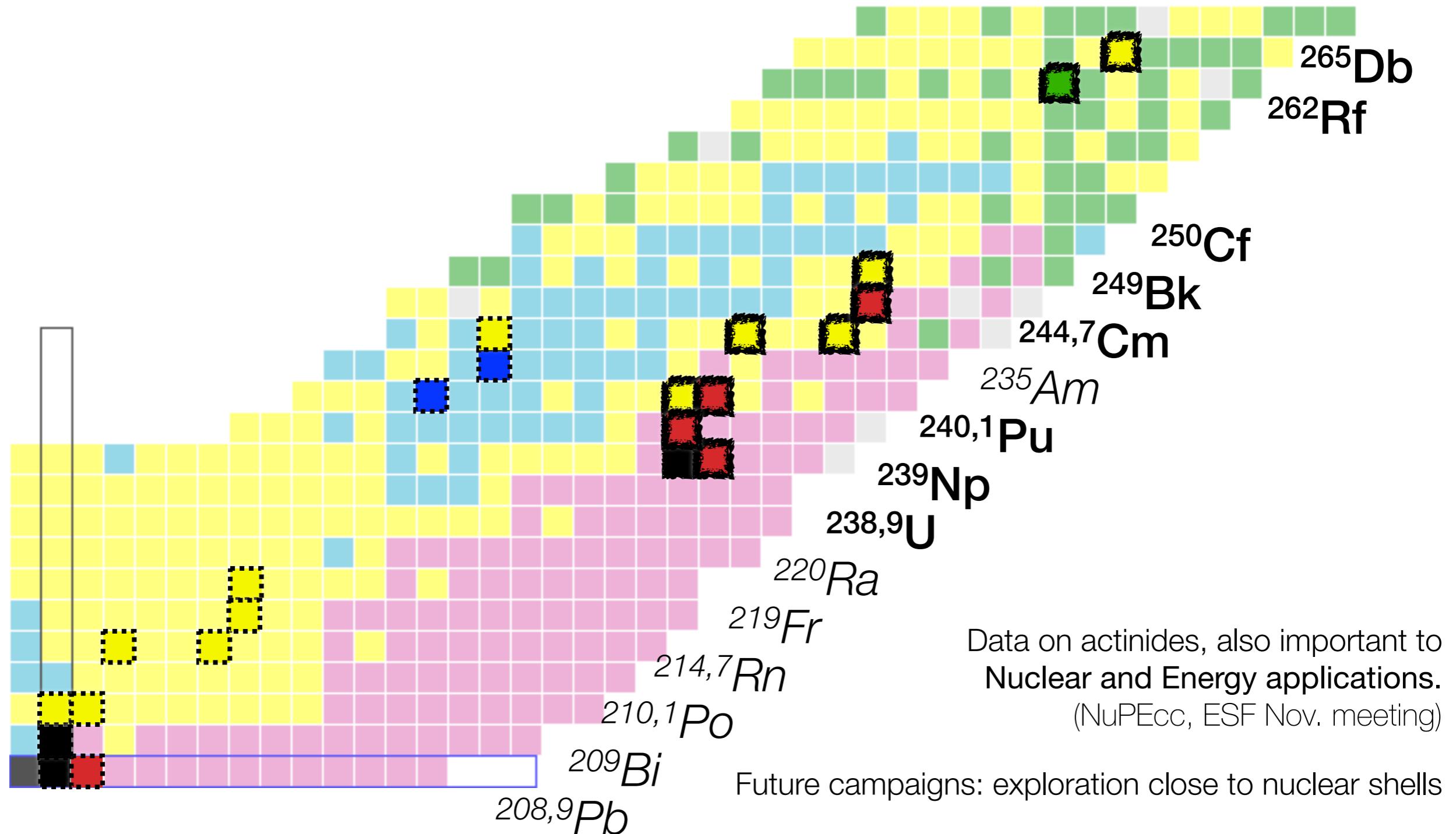
J. Töke et al., NPA 440, 327 (1985)



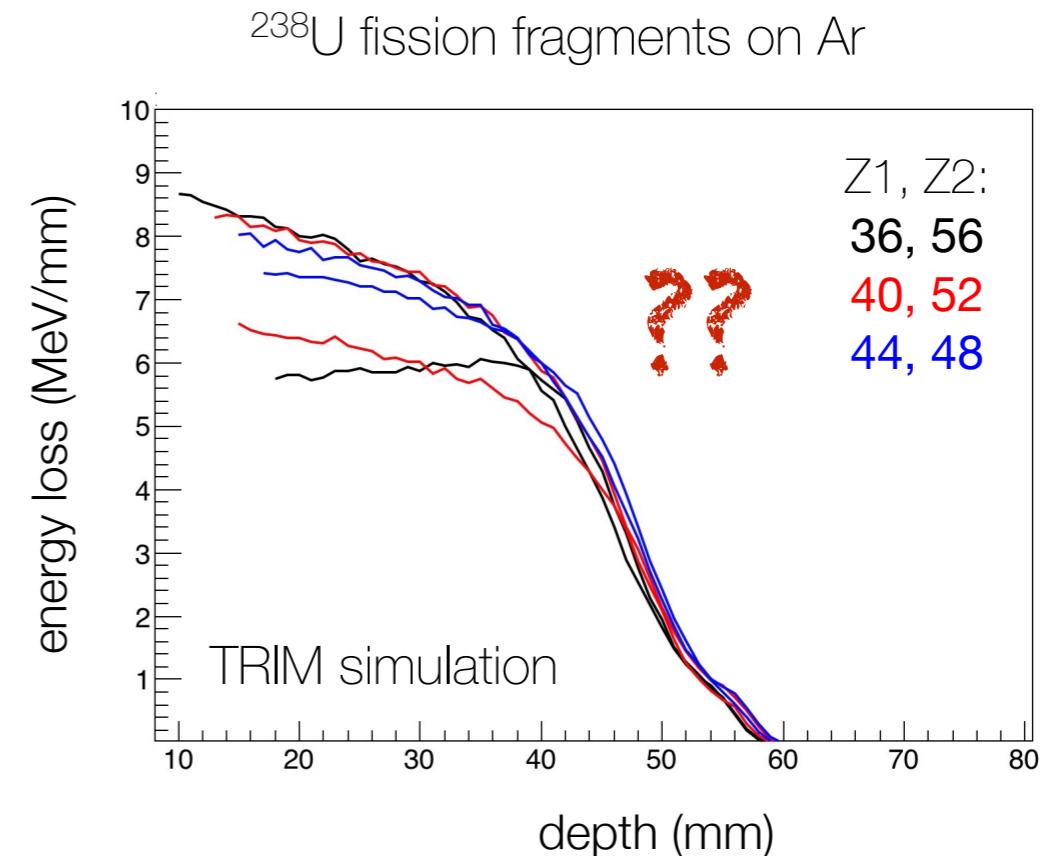
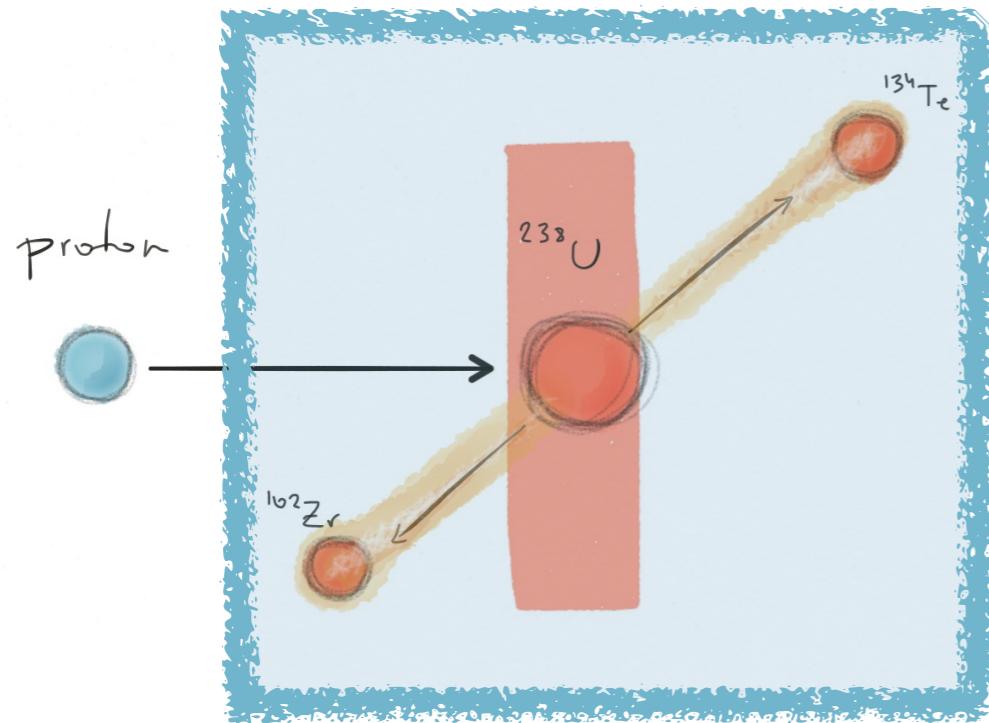
The measurement of the **fragments Z** and **N** gives information on **the time of the process**:



A picture of scission and quasi-fission for a collection of systems



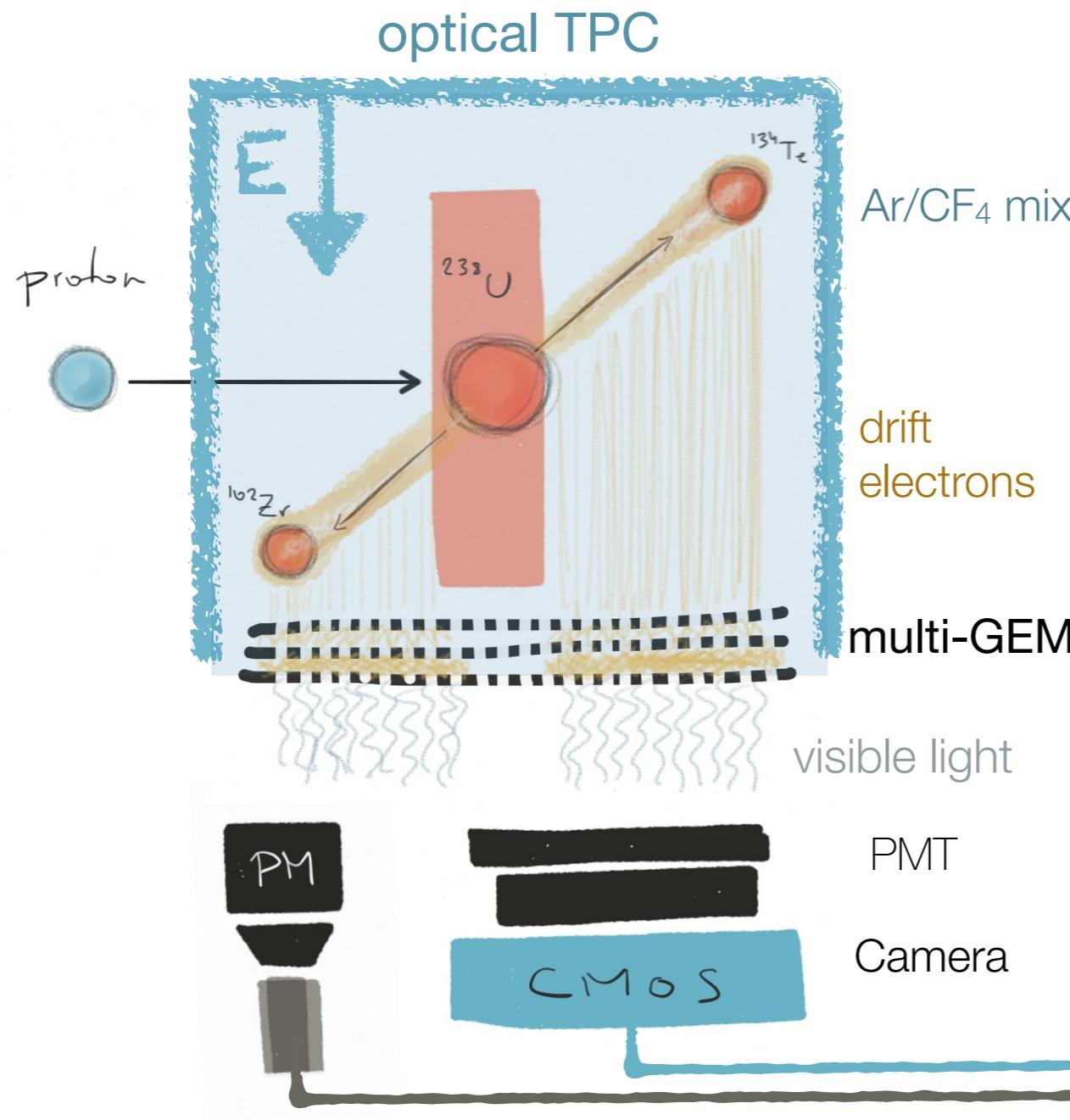
A compact system for direct kinematics



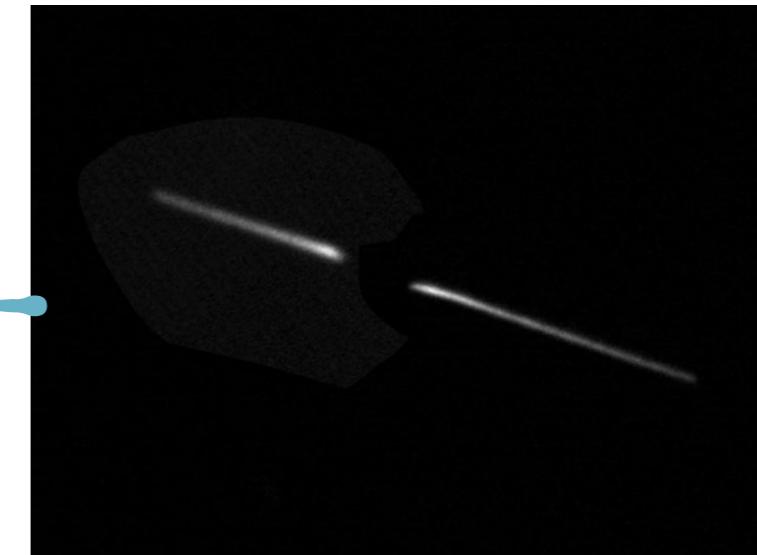
gas-filled detector:
total energy
angle
energy loss / range



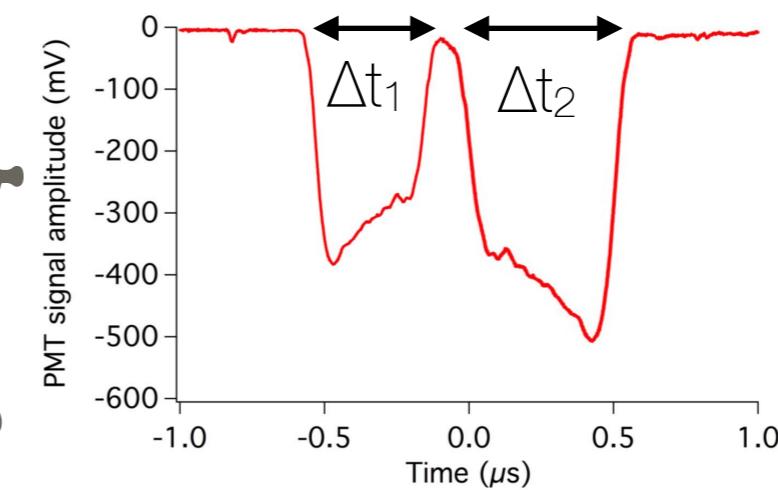
A compact system for direct kinematics



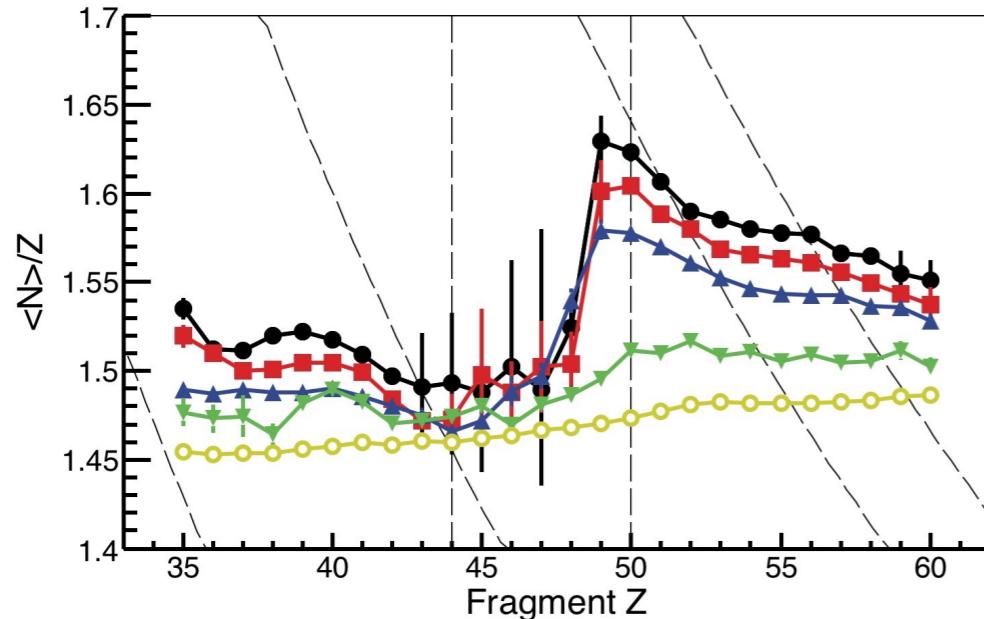
2D charge projection



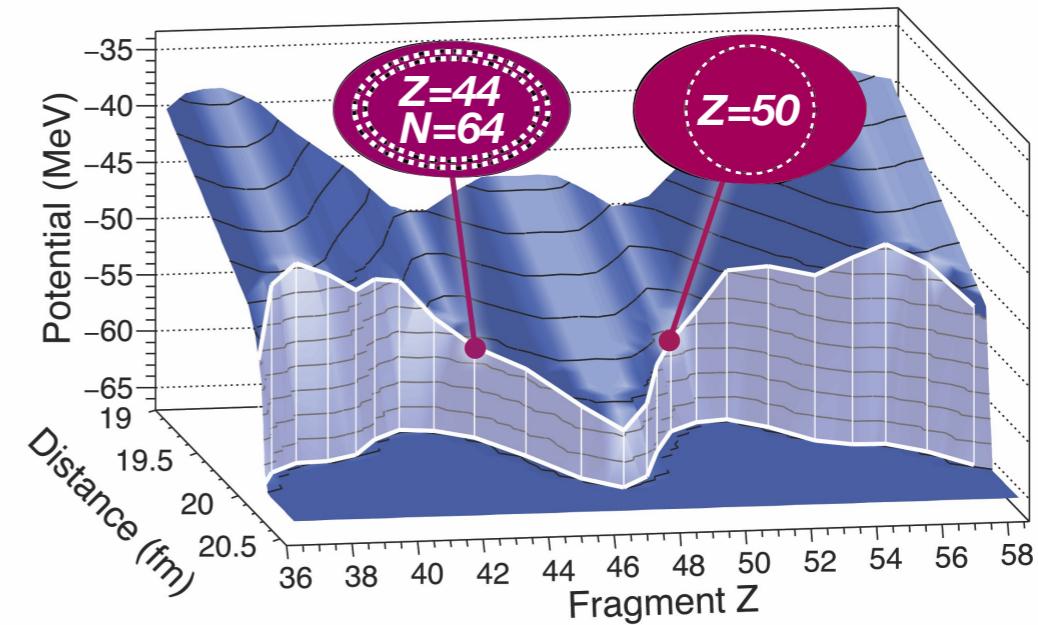
1D time projection



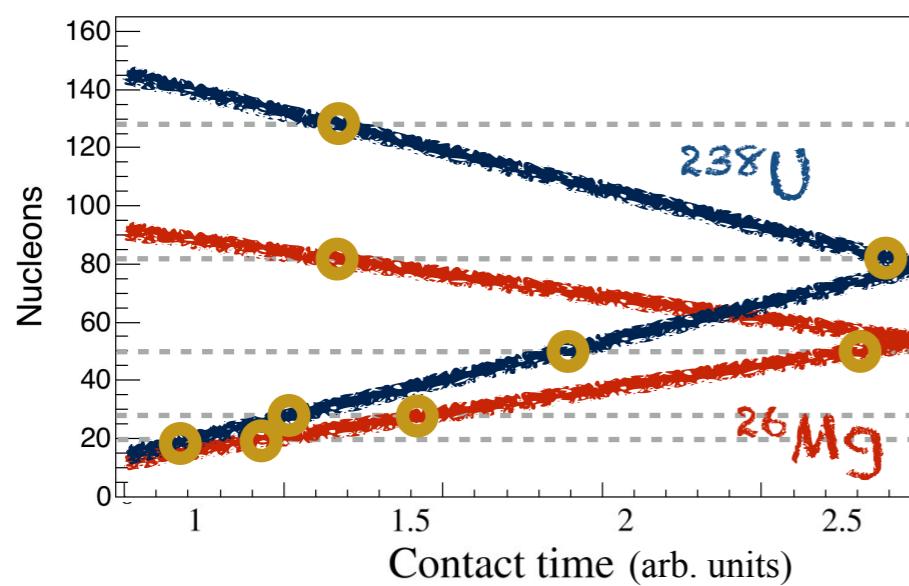
In summary...



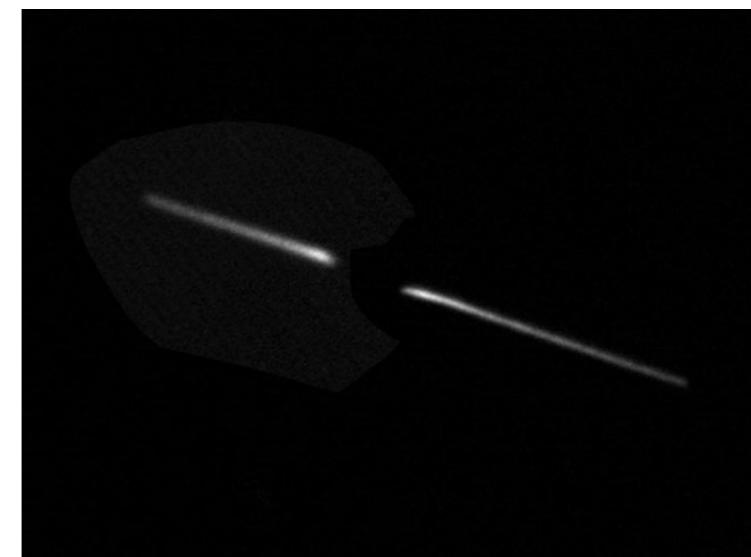
new and revisited fission observables



access to the scission configuration



next in line: quasi-fission

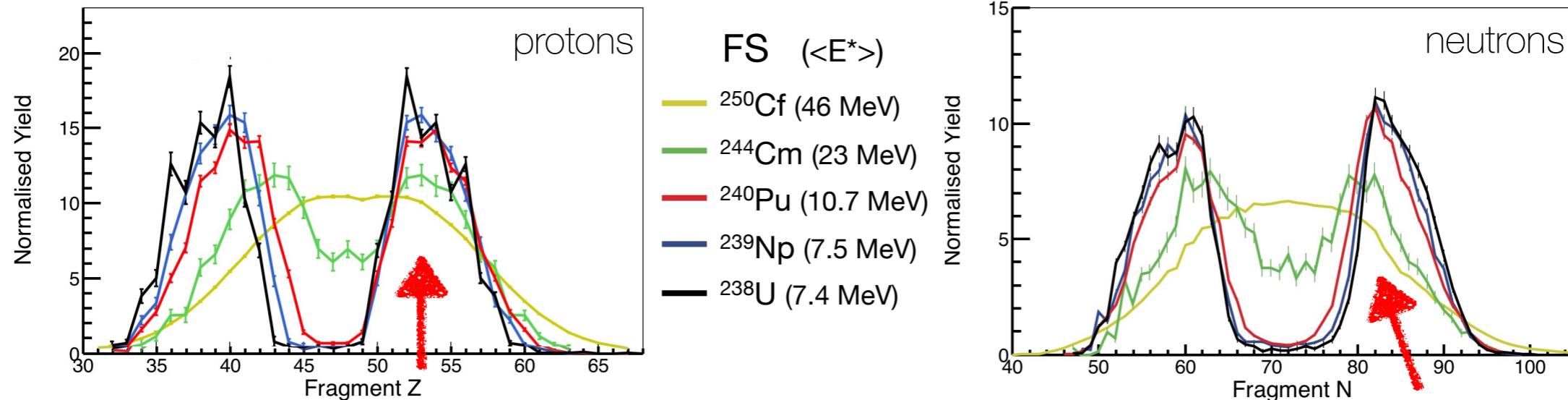


a new approach for fission detection

A set of revisited and new observables

Fragment Z, N distributions

D. Ramos, PhD USC (2016), EPJ WoC 111, 10001 (2016), to be submitted to PRC

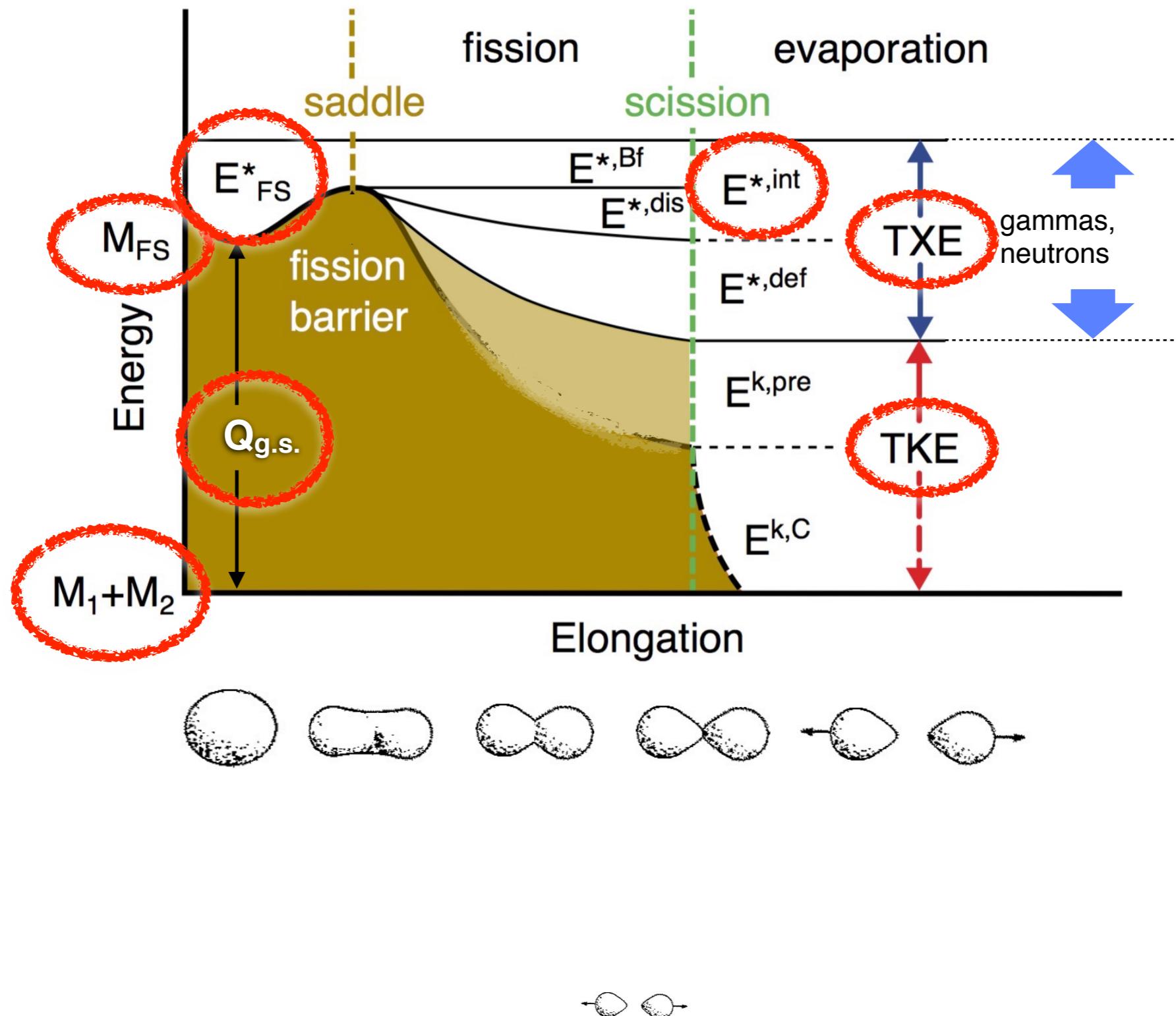


The dominance of the heavy group lasts until very high excitation energy.

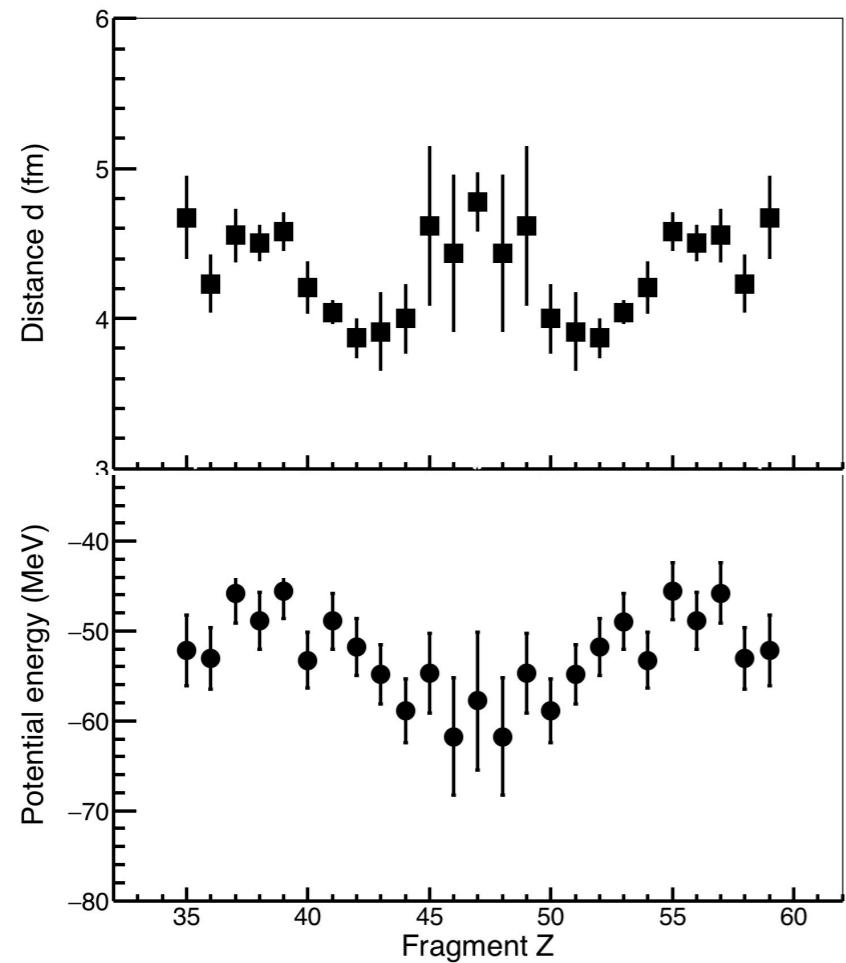
At \sim 46 MeV the distribution is not yet fully LD.

The measured neutron distribution is affected by post-scission evaporation.

A more detailed energy balance

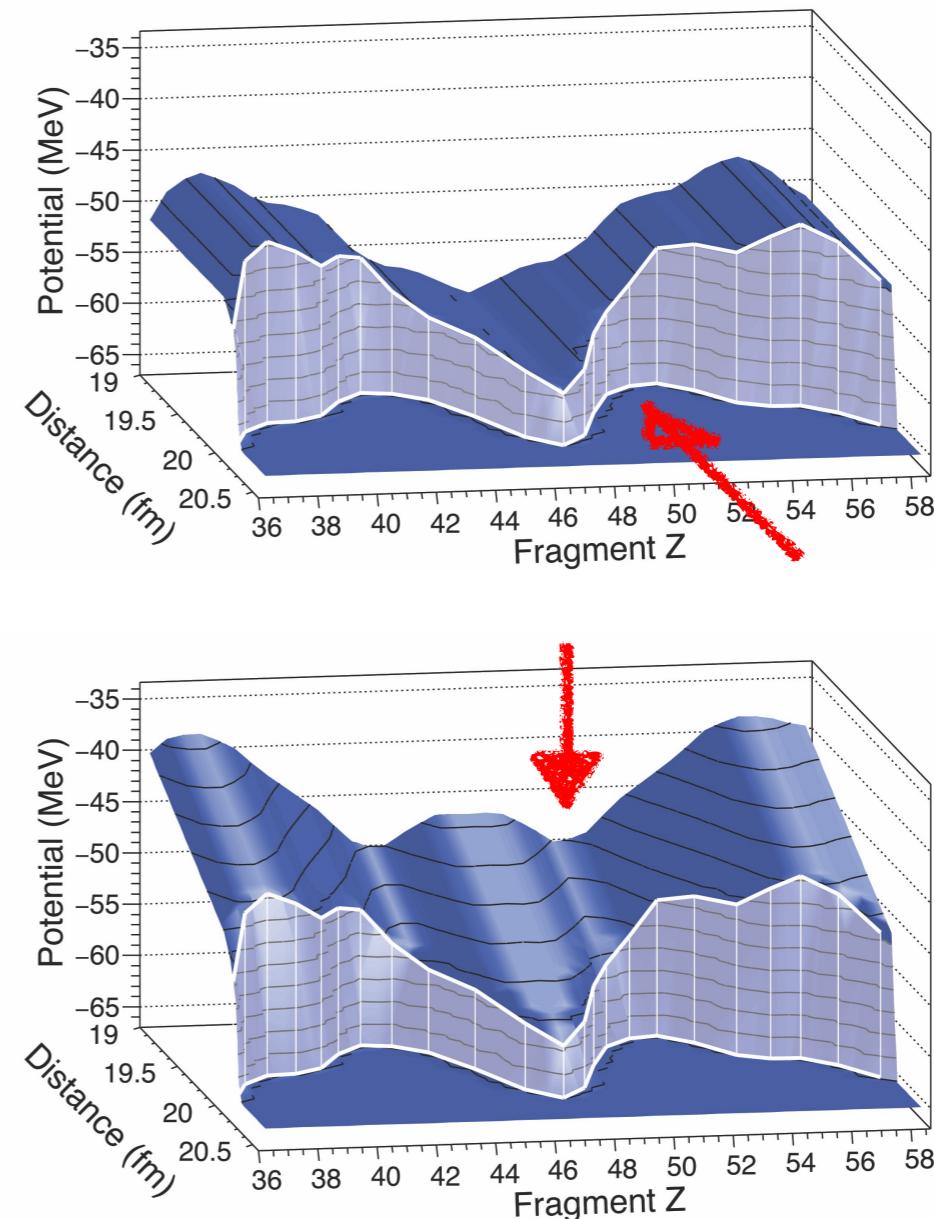


New access to scission; the case of ^{240}Pu (9 MeV)



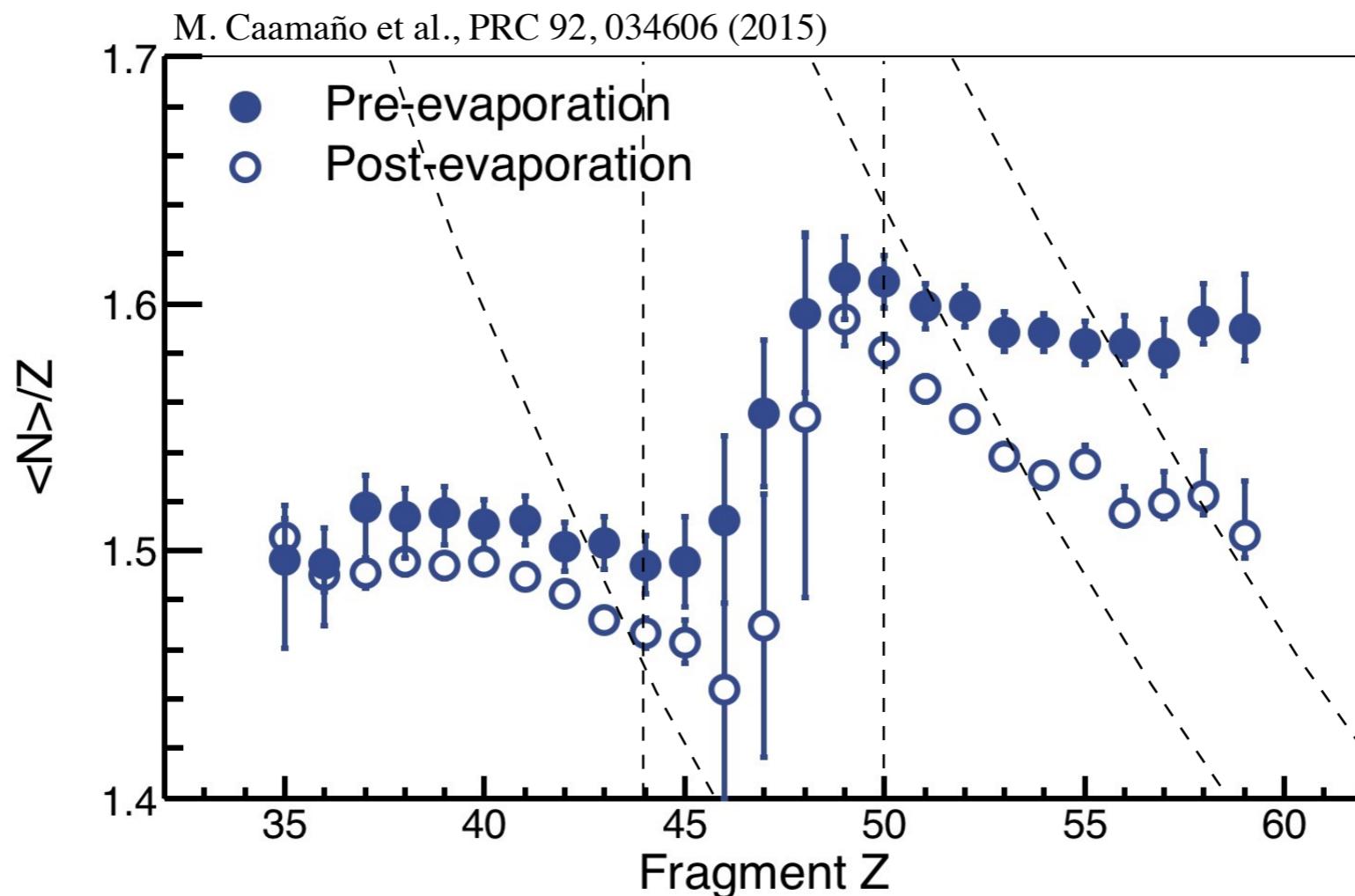
$$\text{PE} = -\text{TXE} + E^*, \text{def}$$

and a sneak peak of the potential landscape:



New access to scission; the case of ^{240}Pu (9 MeV)

Fragment N excess (N/Z)

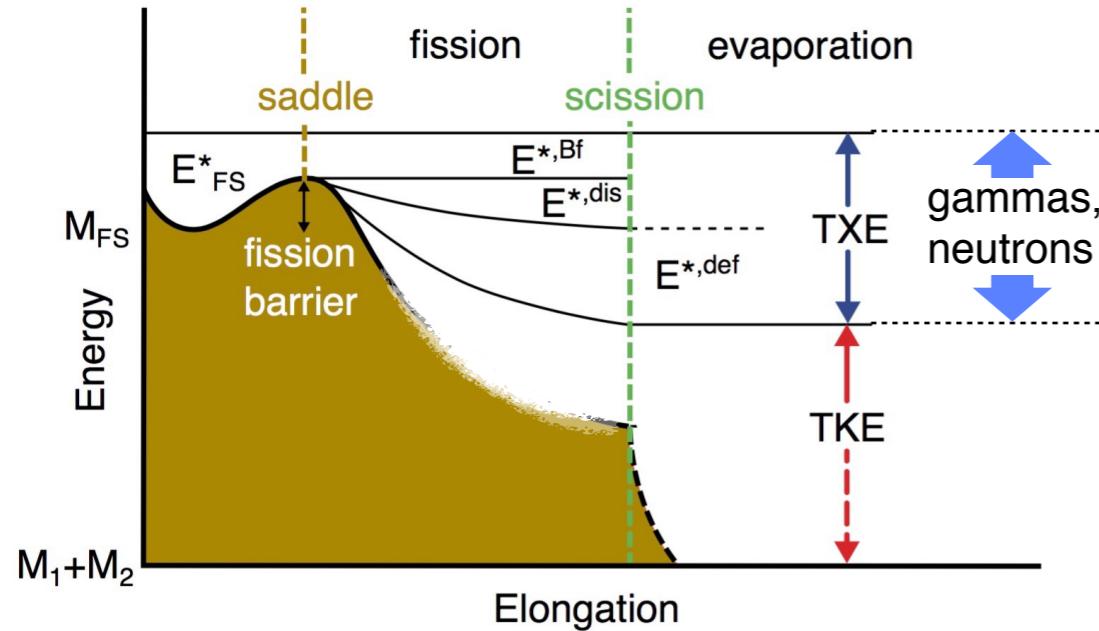


measured velocities and momentum conservation:

$$\langle A_1^* \rangle = A_{\text{FS}} \frac{\langle V_2 \gamma_2 \rangle}{\langle V_1 \gamma_1 \rangle + \langle V_2 \gamma_2 \rangle}, \quad \langle A_2^* \rangle = A_{\text{FS}} - \langle A_1^* \rangle.$$

Inverse kinematics: A window to new observables in fission.

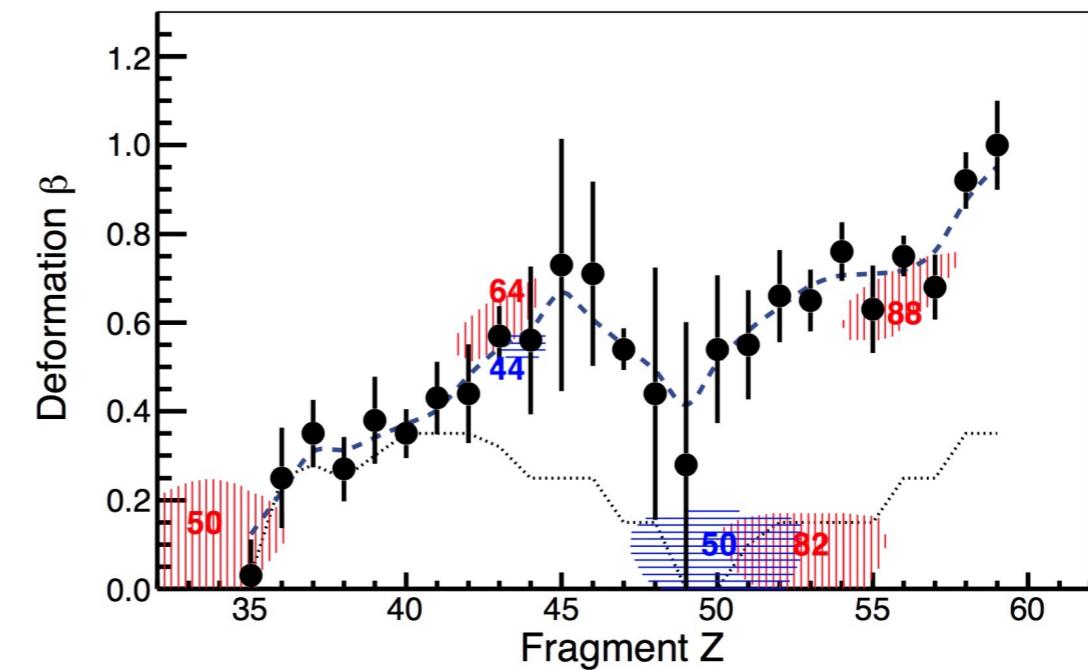
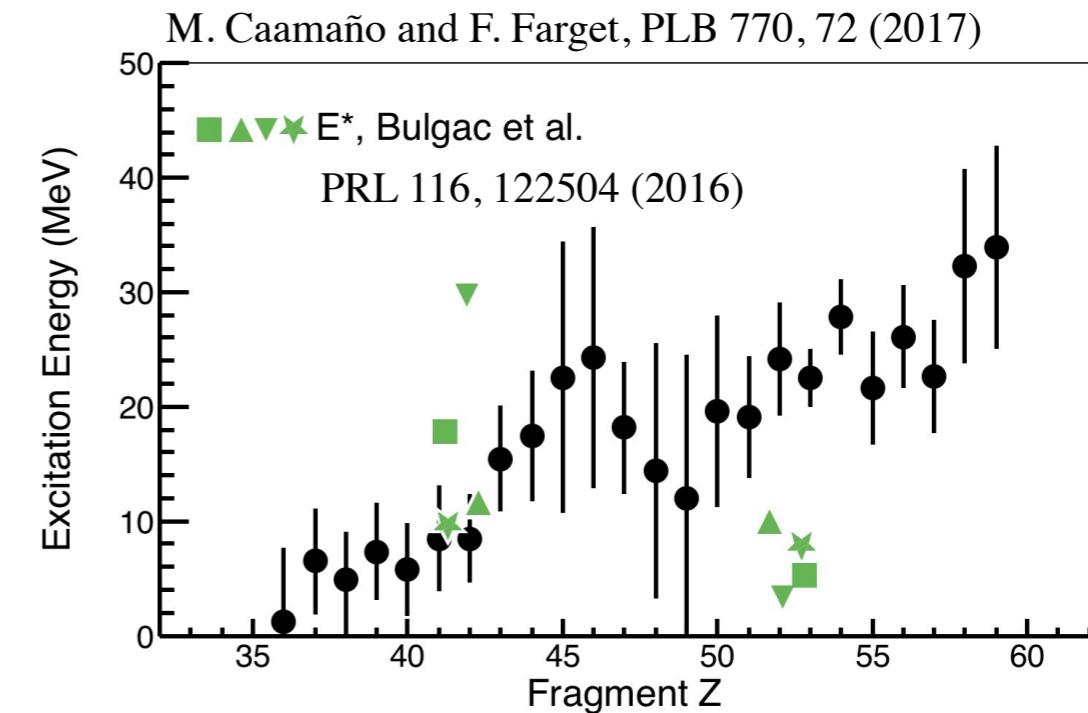
New access to scission; the case of ^{240}Pu (9 MeV)



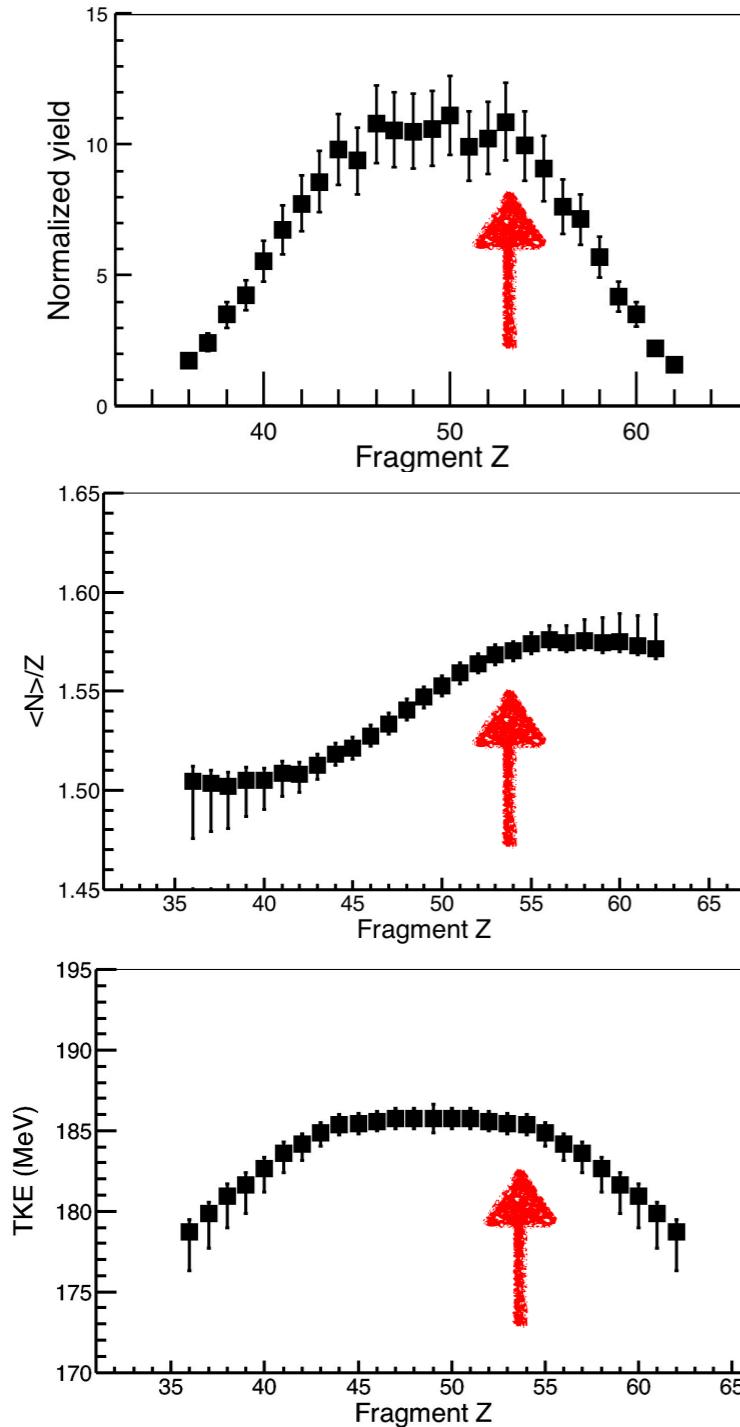
$$M_{\text{FS}} + E^*_{\text{FS}} = TXE + TKE + M_1 + M_2$$

$$\begin{aligned} TXE &= E^*,\text{Bf} + E^*,\text{dis} + E^*,\text{def} \\ &= v \cdot (Q_n + \varepsilon) + E^\gamma \end{aligned}$$

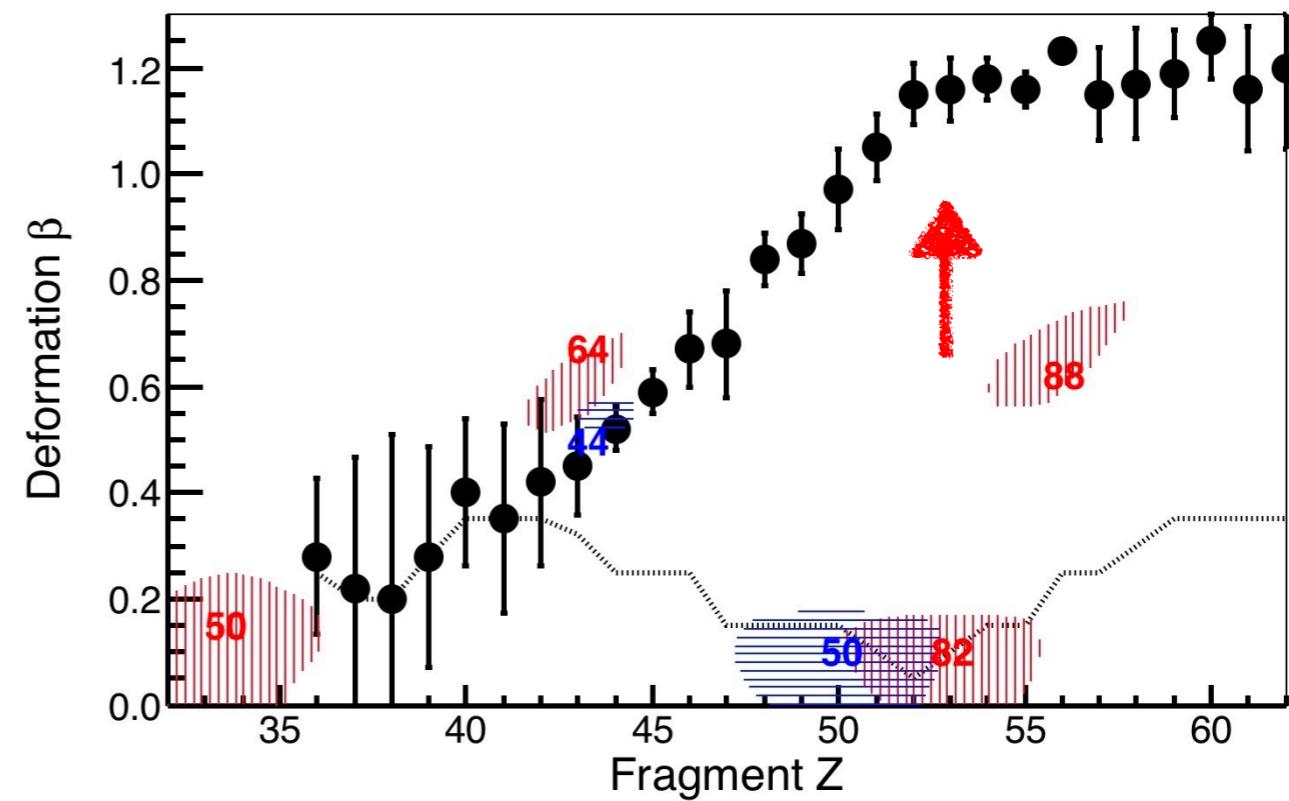
access to the fragment deformations !!



What else?

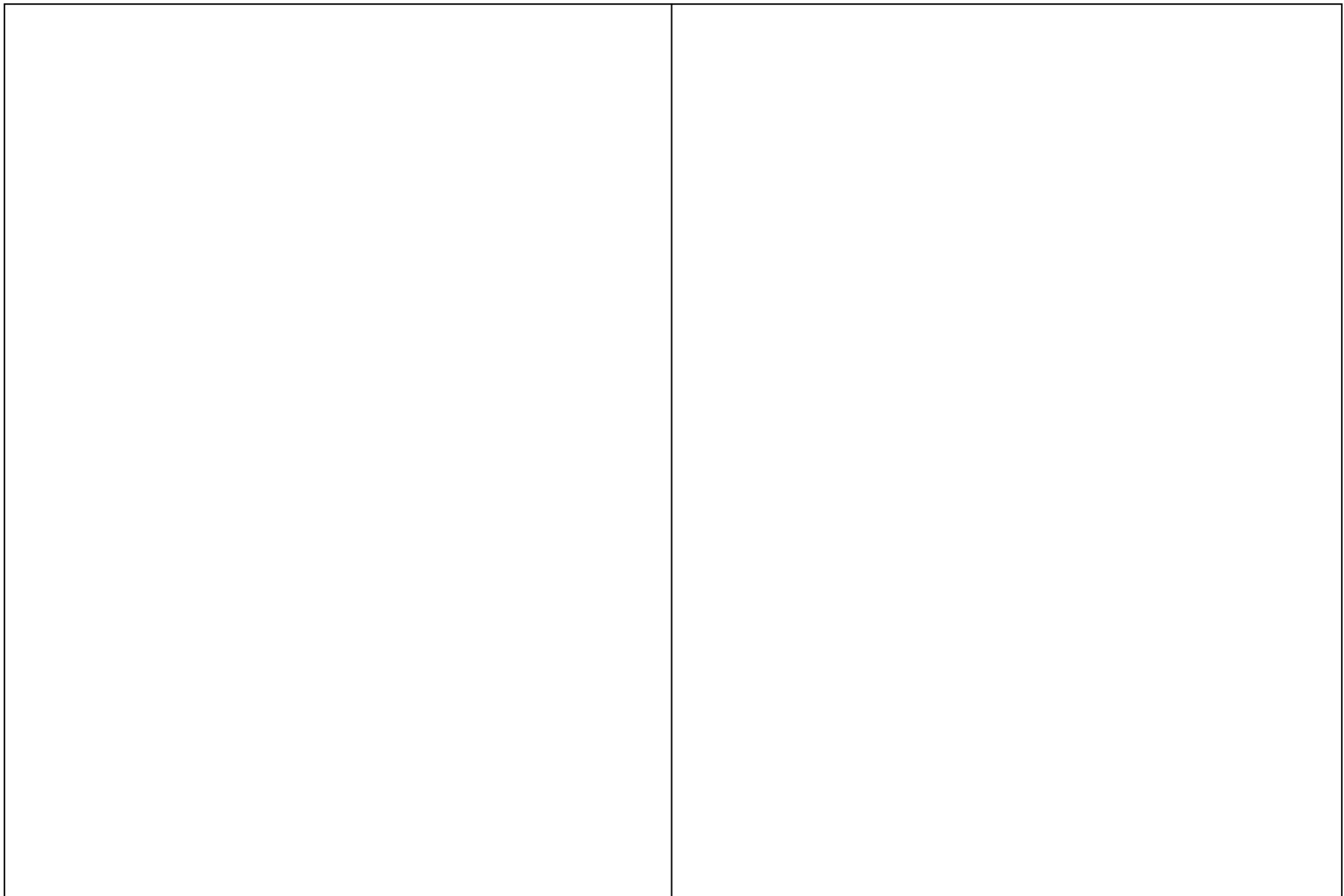


The case of ^{250}Cf (42 MeV)

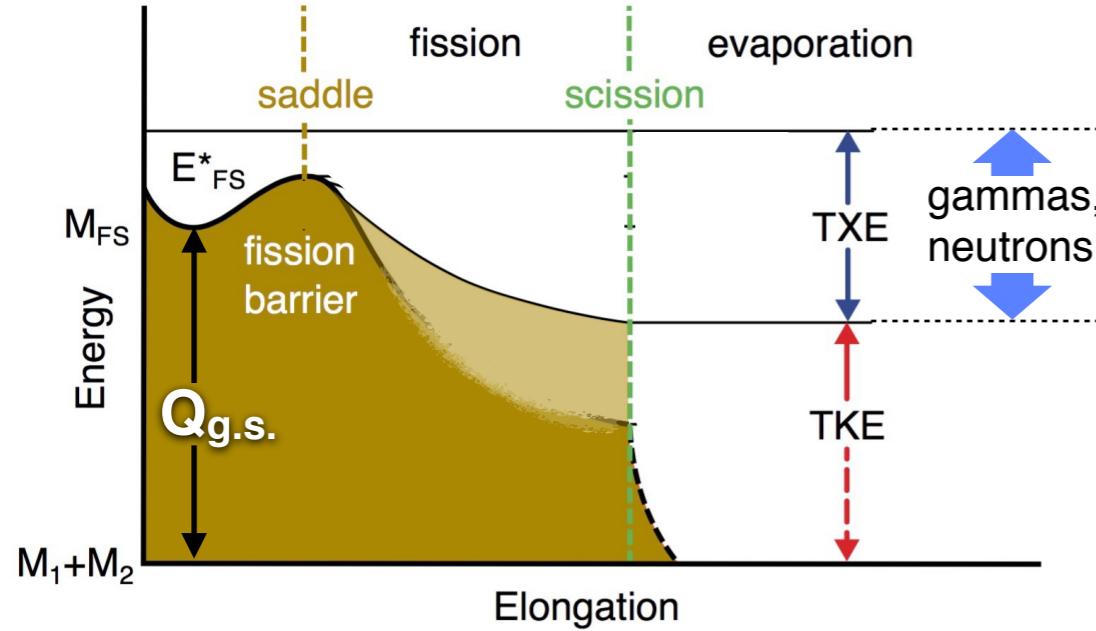


- Pre-saddle emission?
- No dissipation?
- Still shells?

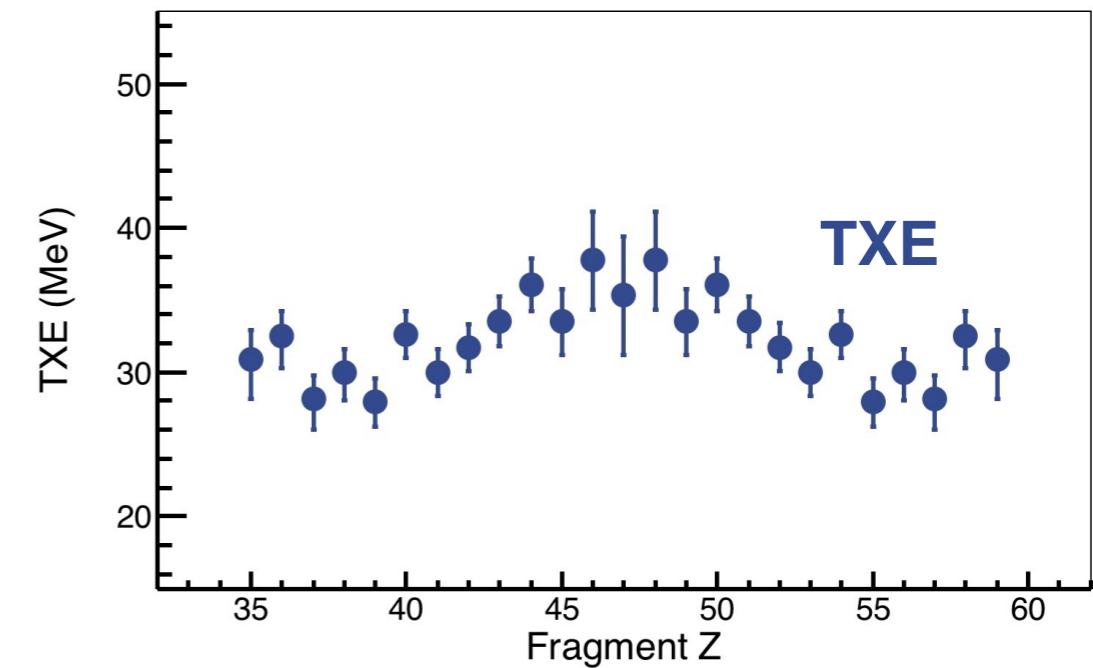
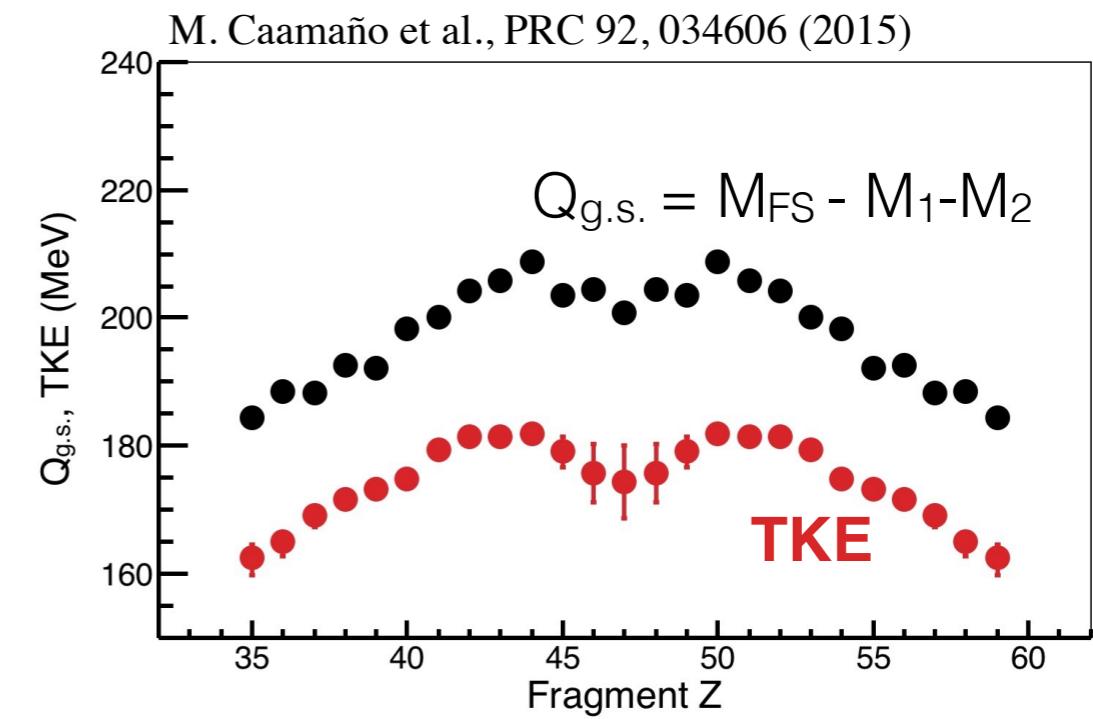
Inverse kinematics: A window to new observables in fission.



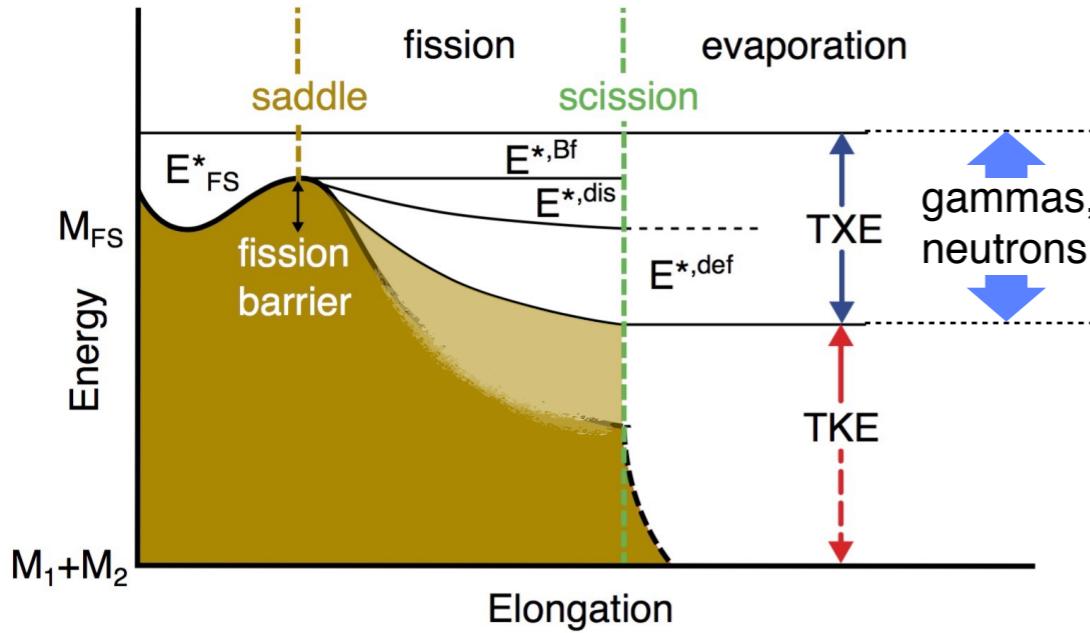
Total Kinetic Energy and Total eXcitation Energy



$$M_{\text{FS}} + E^*_{\text{FS}} = \mathbf{TXE} + \mathbf{TKE} + M_1 + M_2$$



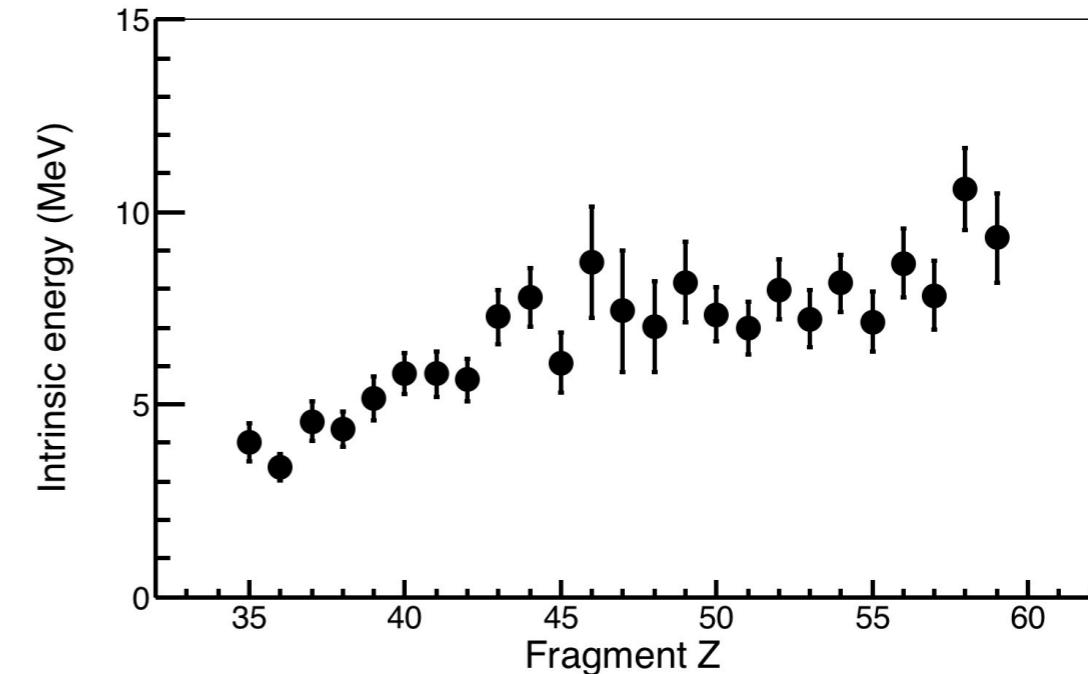
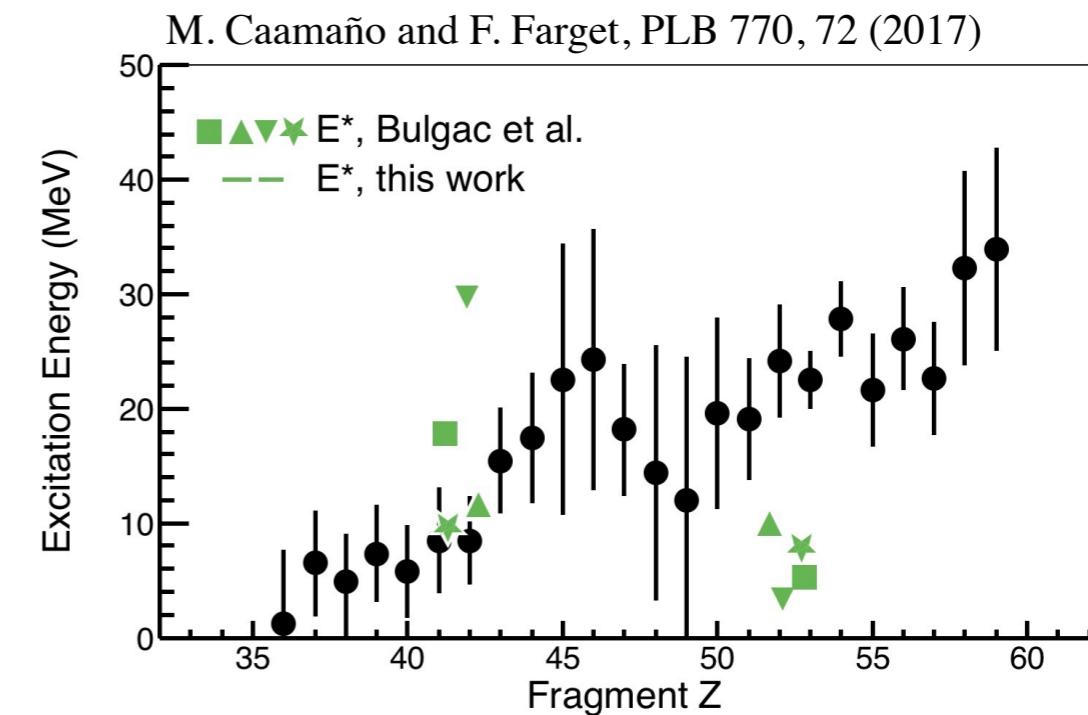
Intrinsic energy: statistical equilibrium



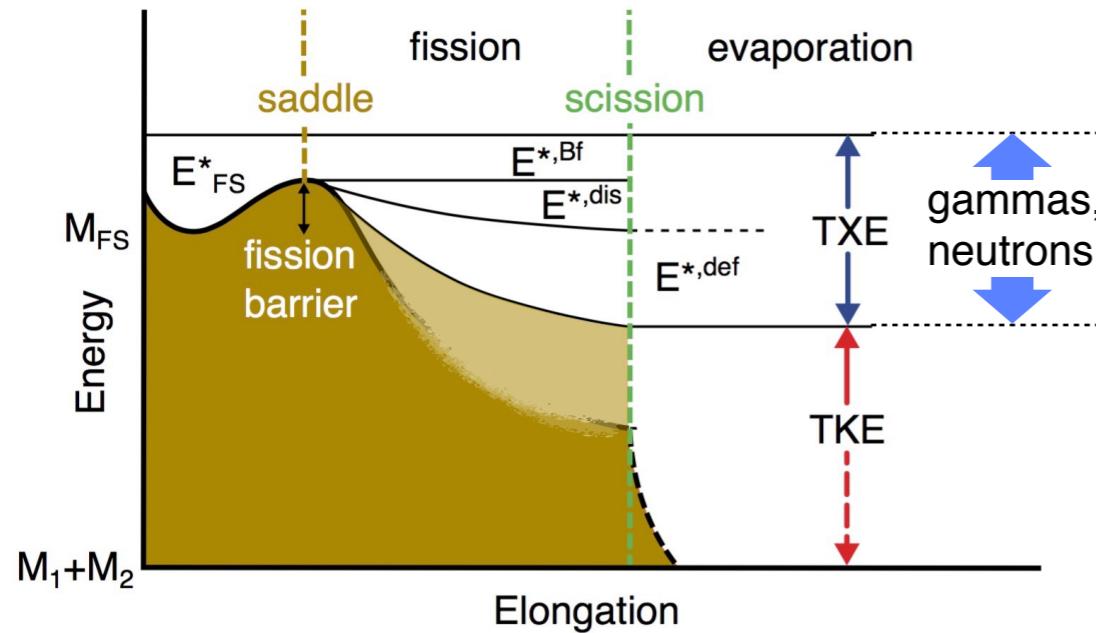
$$M_{FS} + E^*_{FS} = \mathbf{TXE} + \mathbf{TKE} + M_1 + M_2$$

$$\begin{aligned} \mathbf{TXE} &= \sum (E^{*,Bf} + E^{*,dis} + E^{*,def}) \\ &= \sum (\nu \cdot (Q_n + \varepsilon) + E^\gamma) \end{aligned}$$

The **intrinsic E^*** is shared following **statistical equilibrium** between the fragments



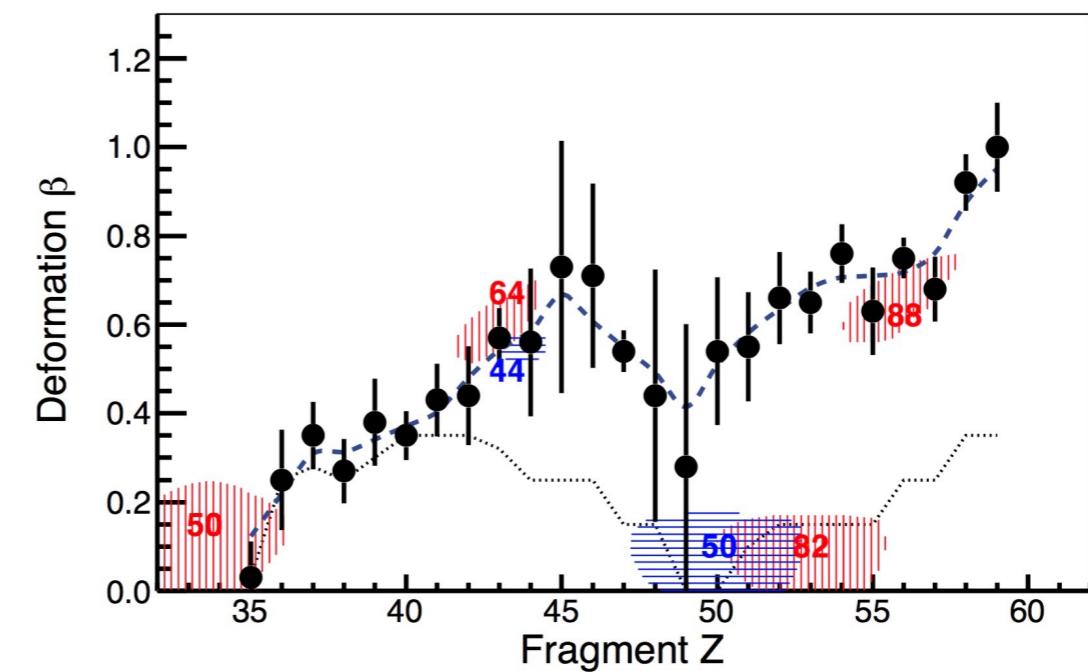
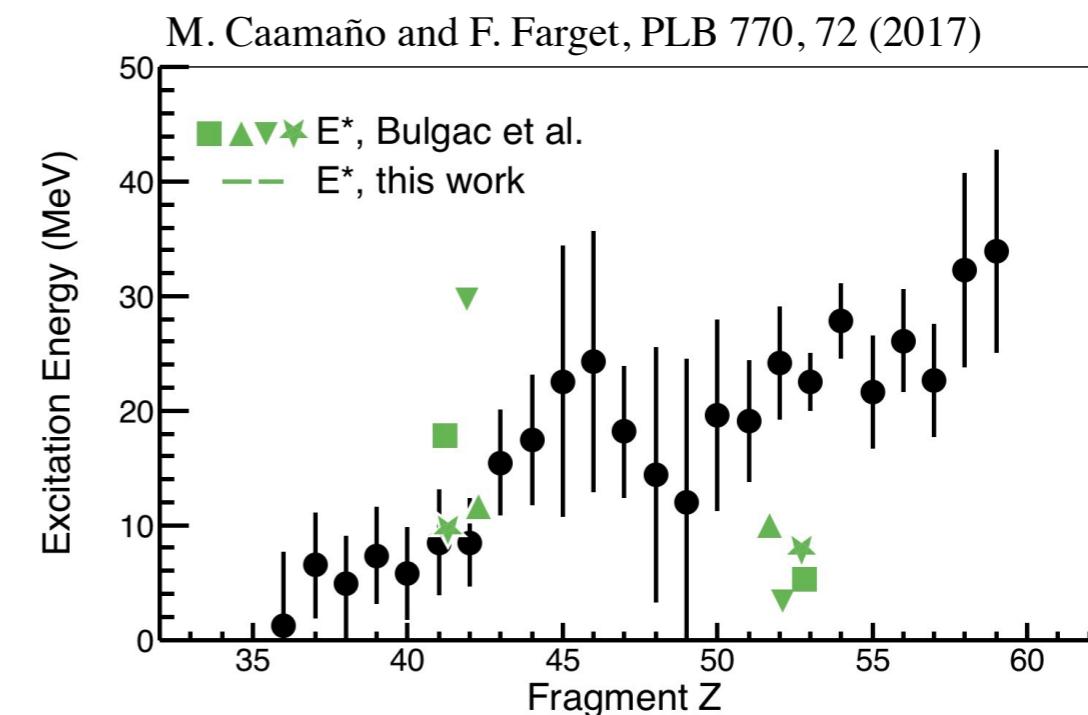
Fragment deformation and shells



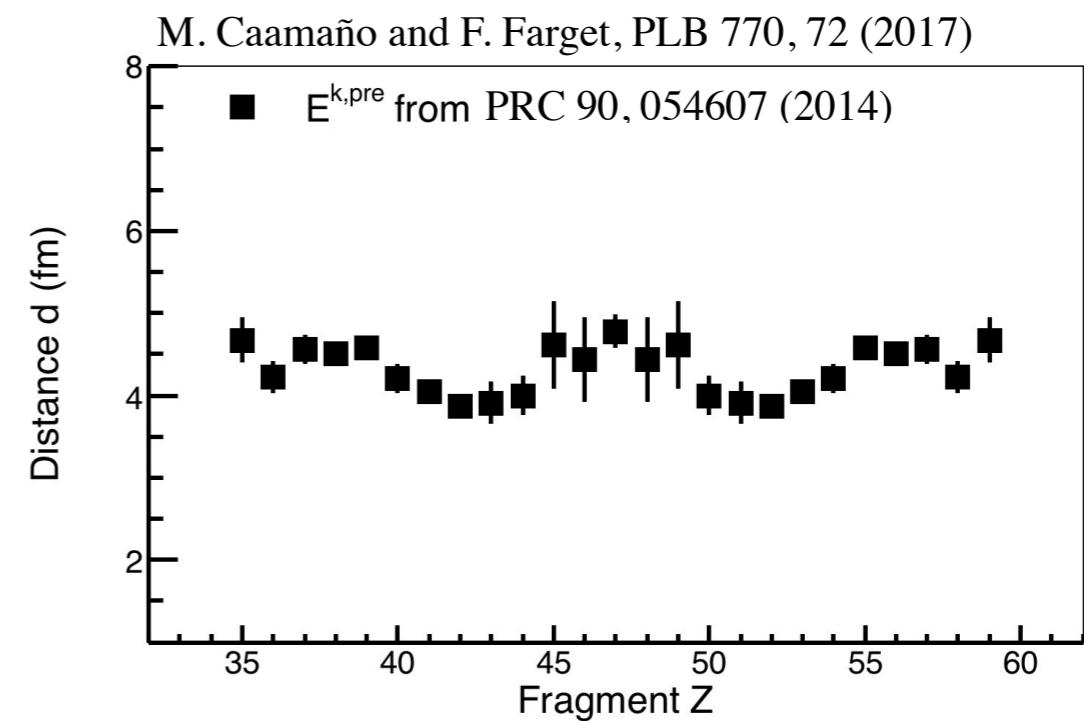
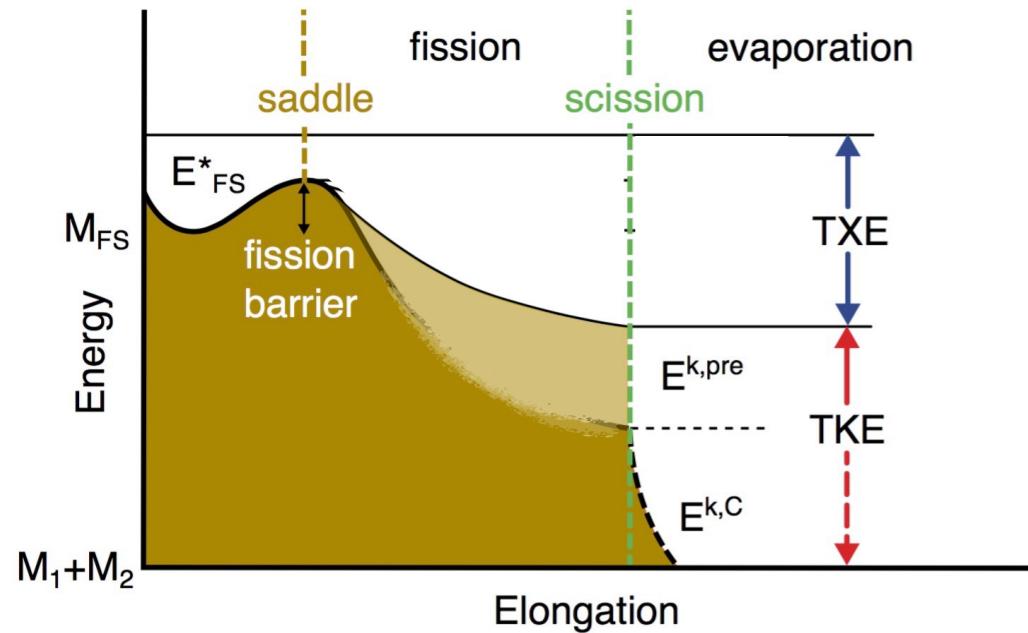
$$M_{\text{FS}} + E^*_{\text{FS}} = \mathbf{TXE} + \mathbf{TKE} + M_1 + M_2$$

$$\begin{aligned} \mathbf{TXE} &= \sum(E^{*,\text{Bf}} + E^{*,\text{dis}} + \underline{E^{*,\text{def}}}) \\ &= \sum(v \cdot (Q_n + \varepsilon) + E^\gamma) \end{aligned}$$

access to the fragment deformation

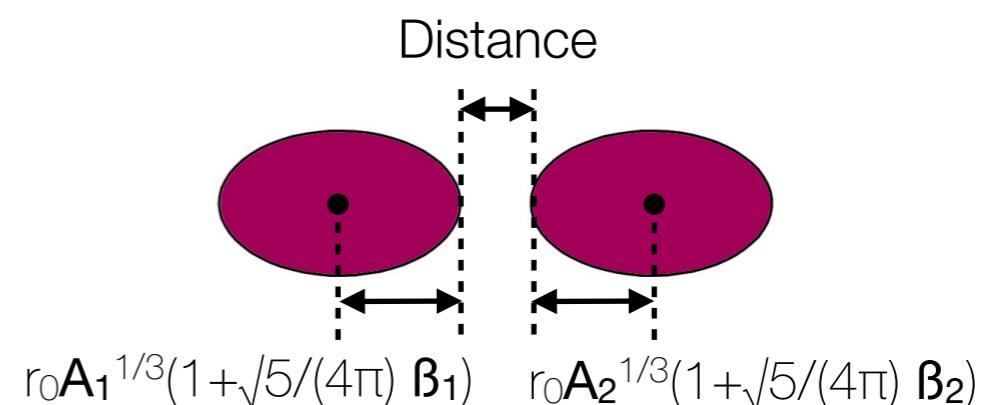


TKE and fragment distance



$$M_{FS} + E^*_{FS} = \mathbf{TXE} + \mathbf{TKE} + M_1 + M_2$$

$$\begin{aligned} \mathbf{TKE} &= E^{k,pre} + E^{k,C} \\ &= E^{k,pre} + 1.44 \cdot Z_1 \cdot Z_2 / D(\beta, d) \end{aligned}$$



access to the distance between fragments

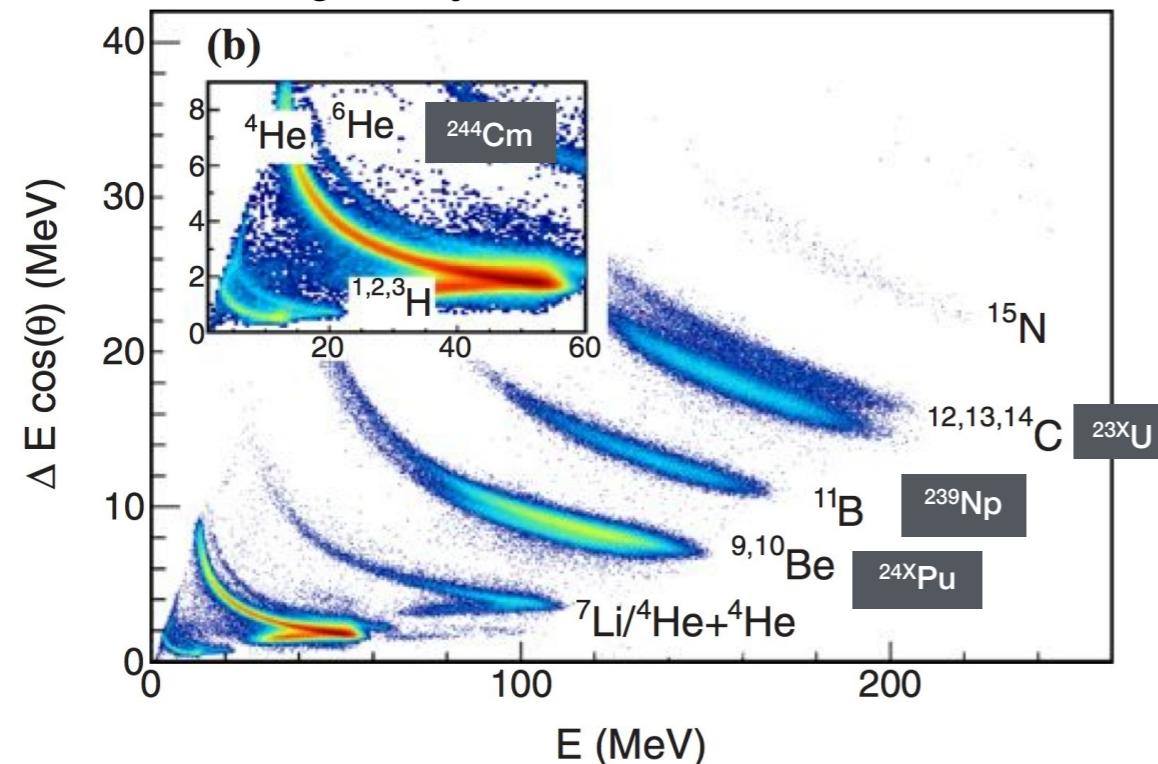


Inverse kinematics at VAMOS/GANIL:

Production and fission from fusion and multi-nucleon transfer

F. Farget et al.

C. Rodríguez, Tajes et al., PRC 89 (2014) 024614

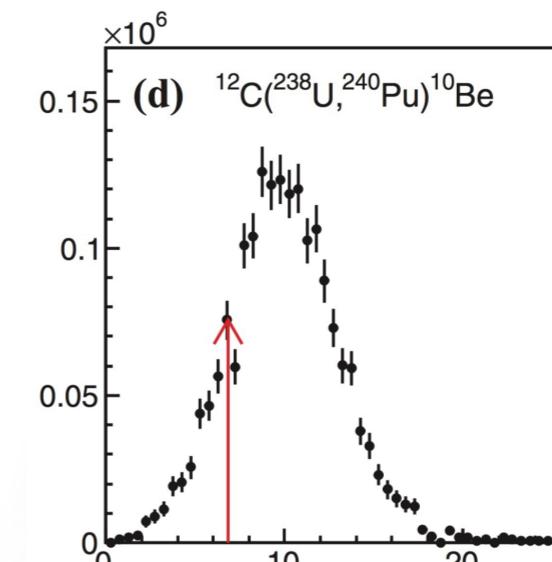


observables:

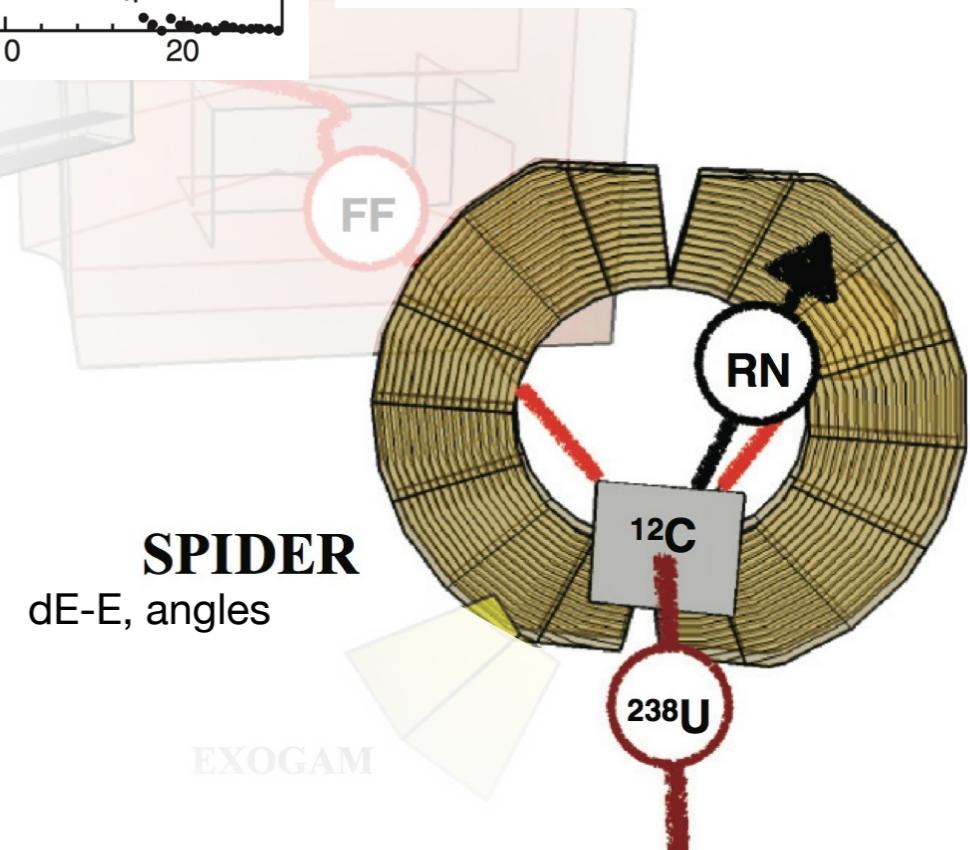
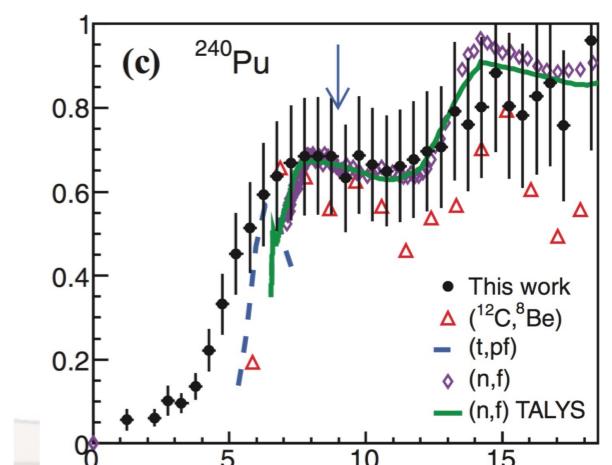
Fissioning System:

- A, Z, E^* , angle, velocity

Excitation energy



Fission probability

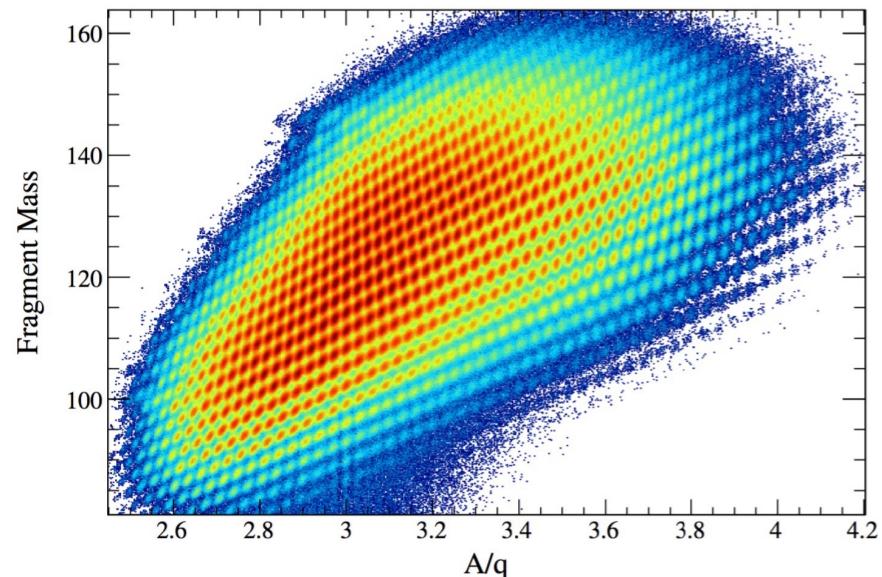


M. Caamaño (USC)

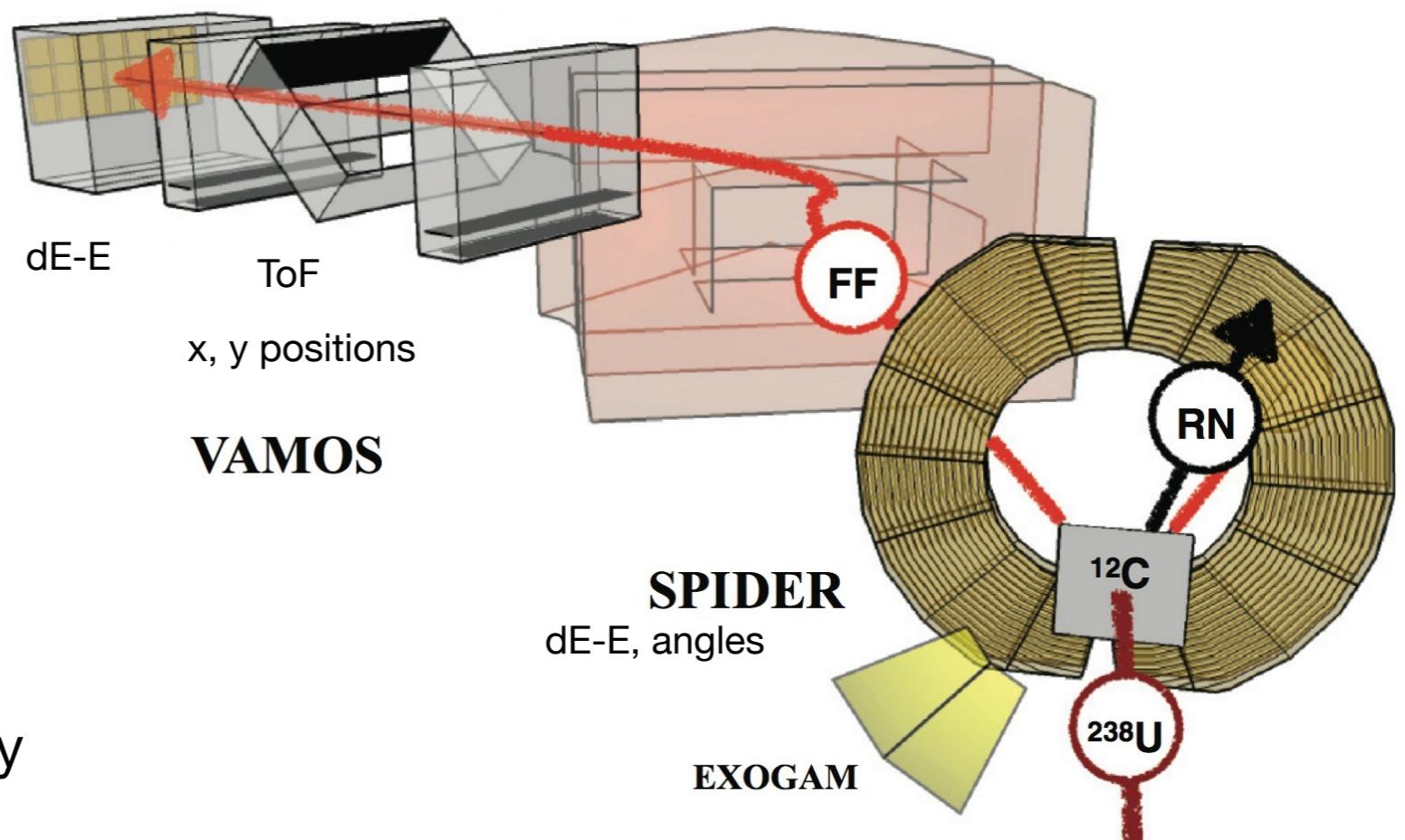
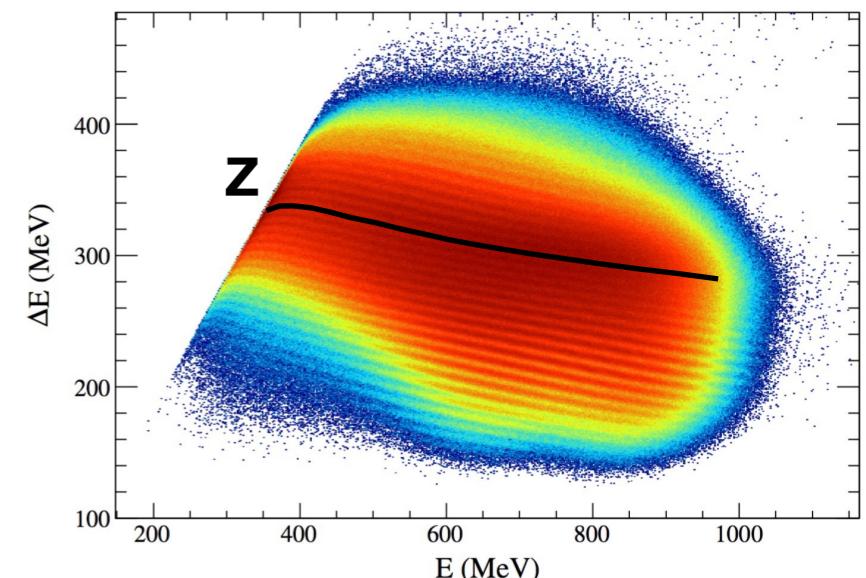
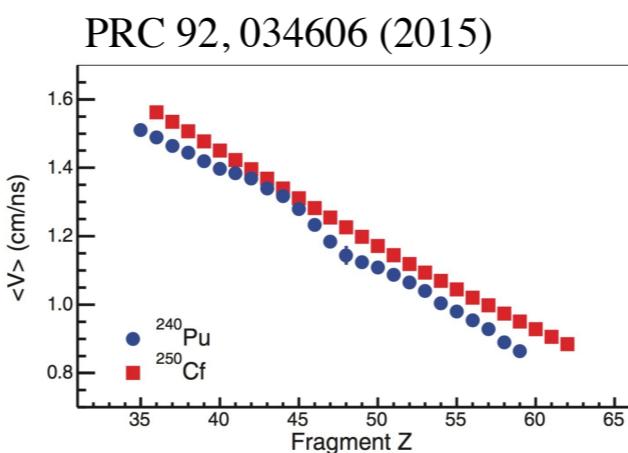
Inverse kinematics at VAMOS/GANIL:

Production and fission from fusion and multi-nucleon transfer

F. Farget et al.



D. Ramos, PhD USdC (2016)



observables:

Fissioning System:

- A , Z , E^* , angle, velocity

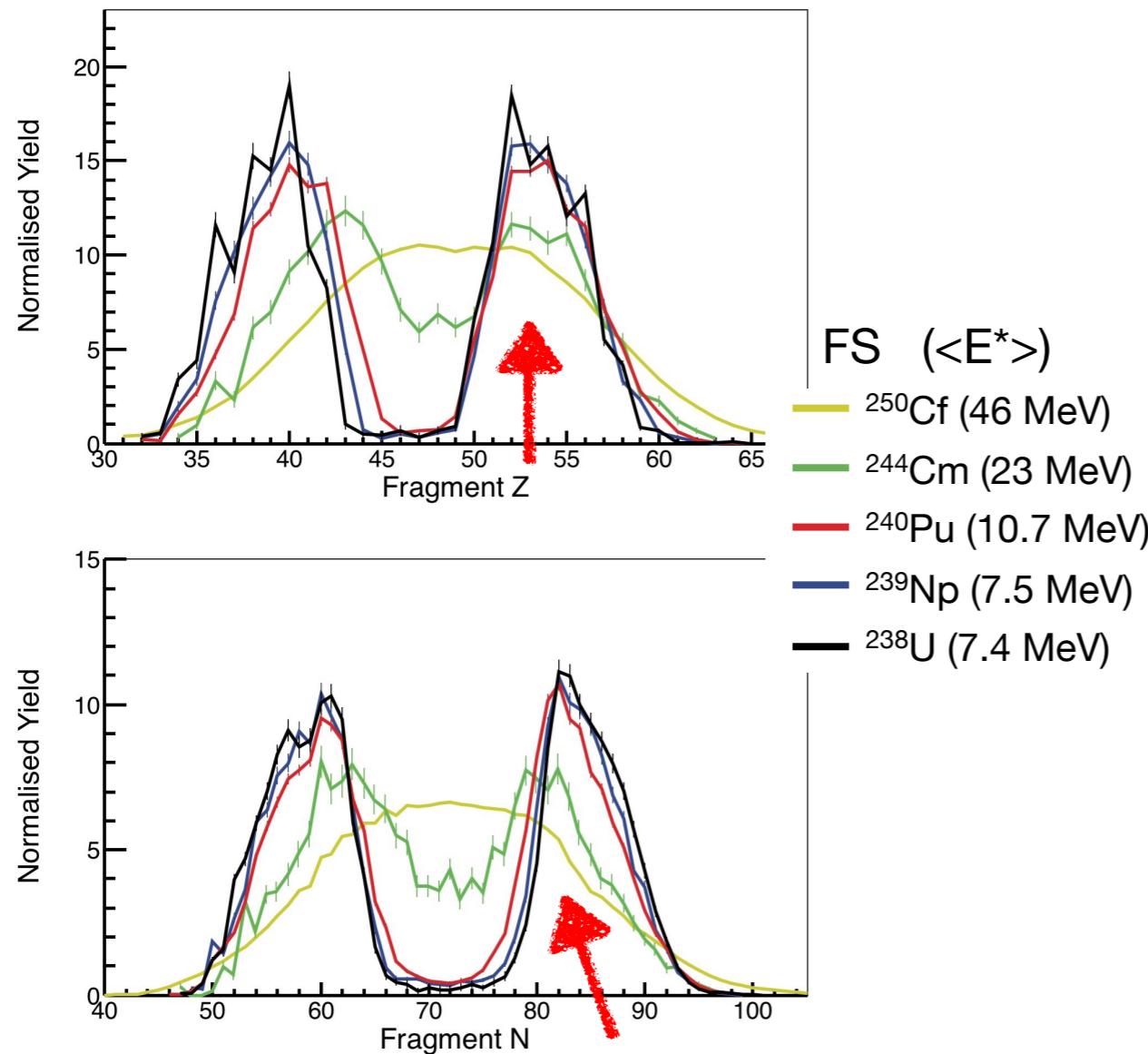
Fission Fragments:

- A^{post} , Z , q , angle, velocity

A set of revisited and new observables

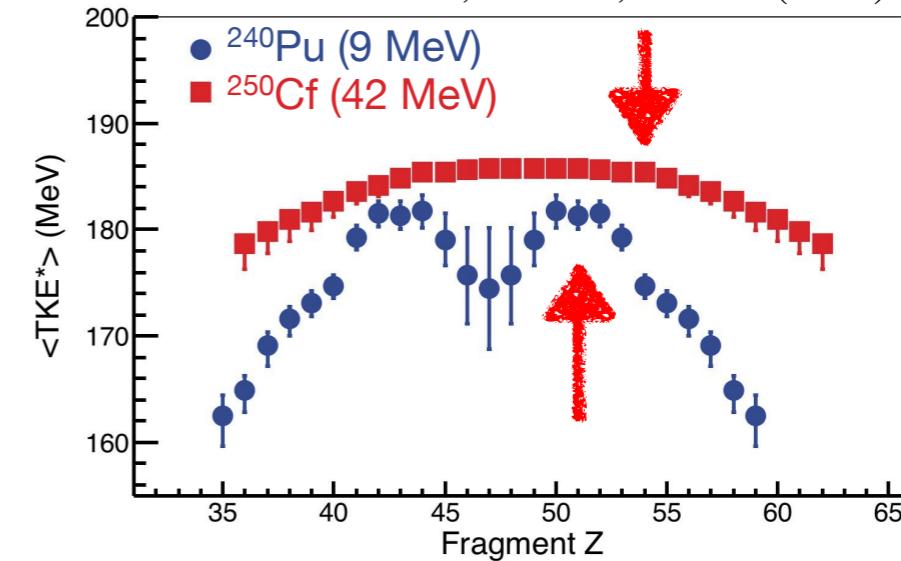
Fragment Z, N distributions

D. Ramos, PhD USdC (2016),
EPJ WoC 111, 10001 (2016)

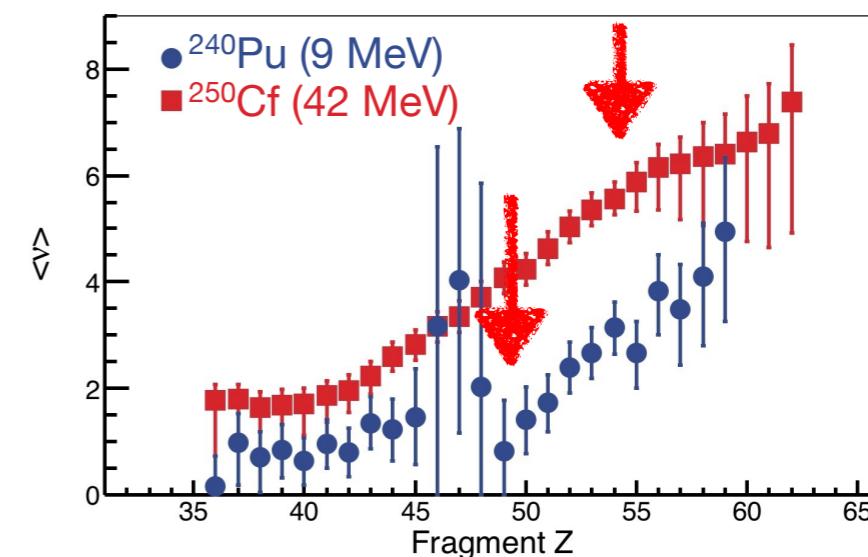


Total kinetic energy (TKE)

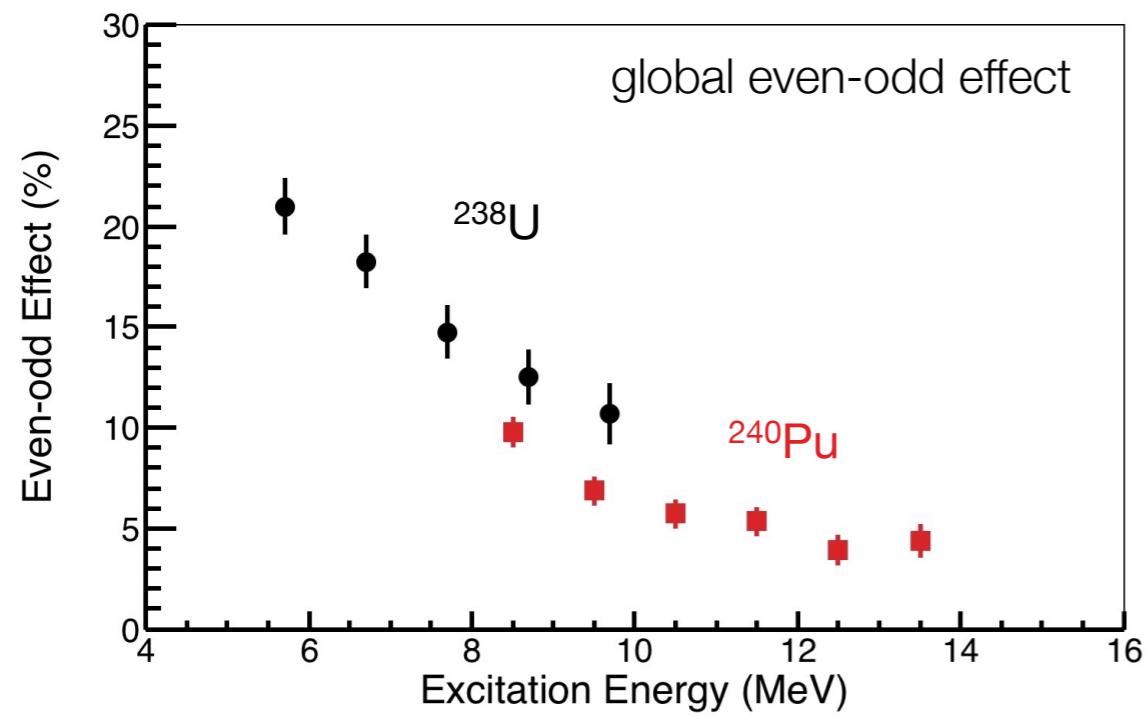
M. Caamaño et al., PRC 92, 034606 (2015)



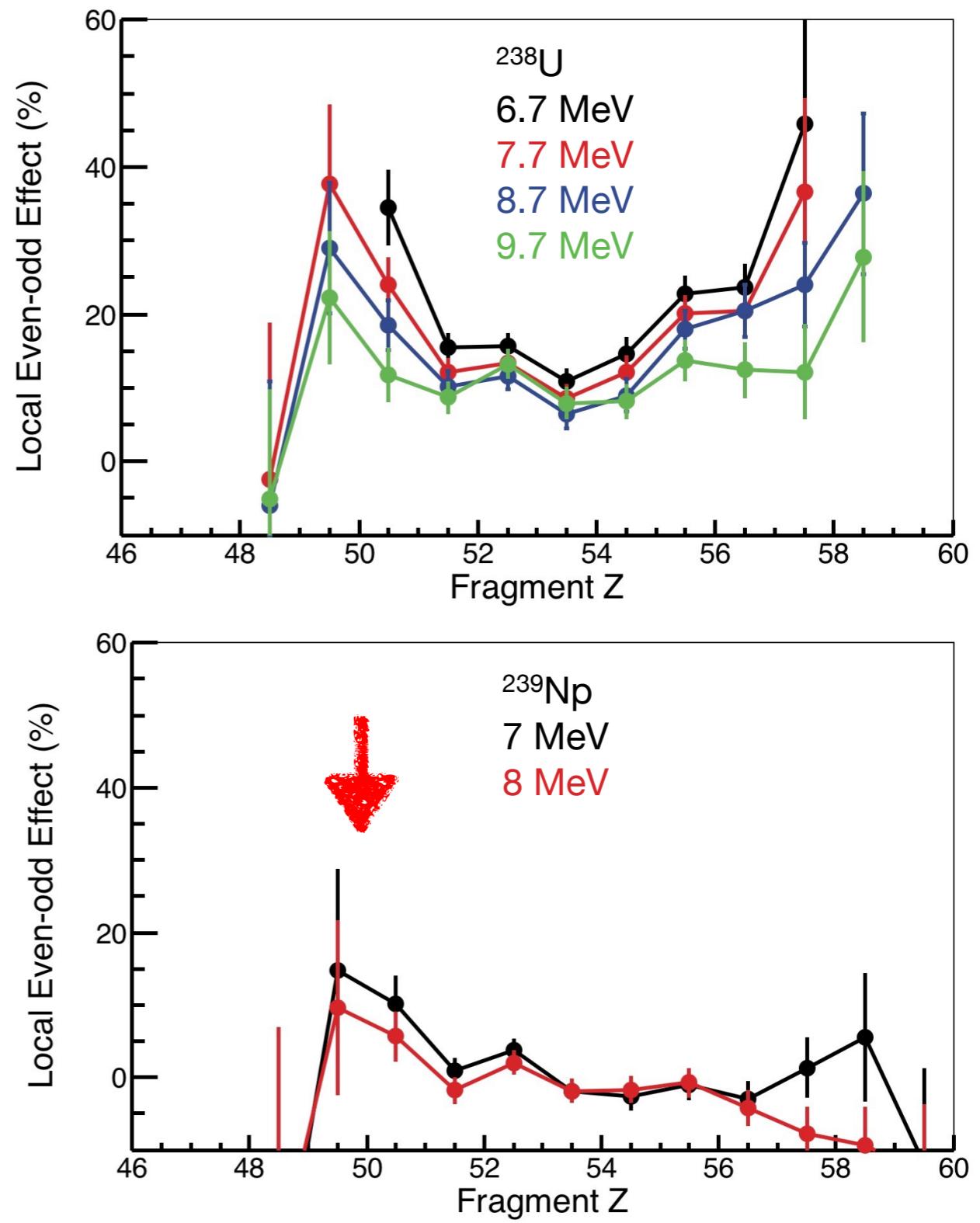
Neutron evaporation



Inverse kinematics: A window to new observables in fission.

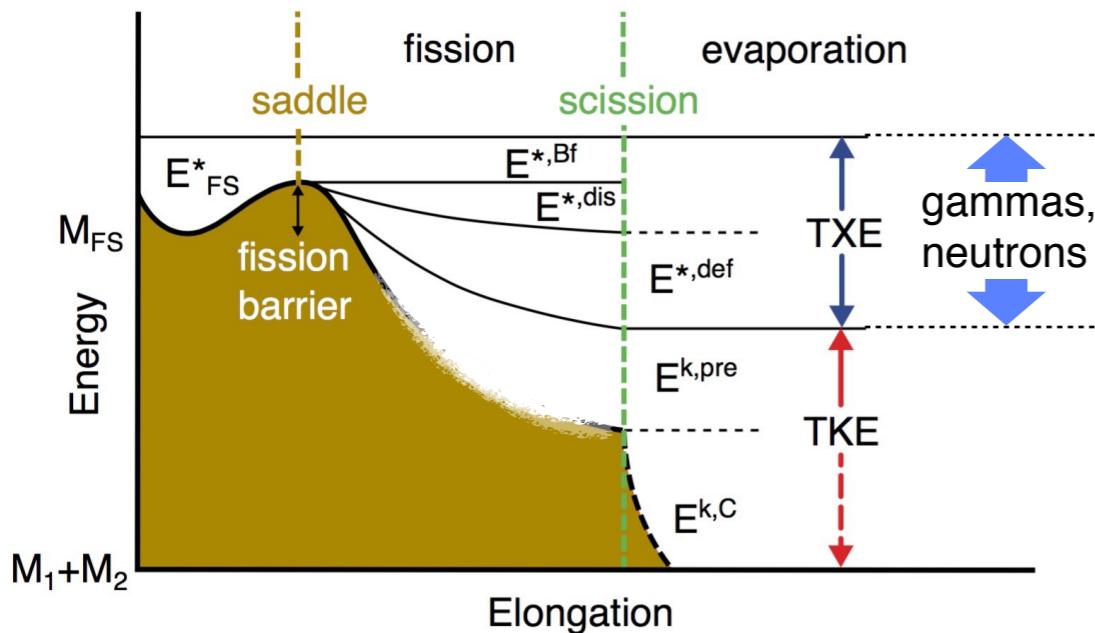


D. Ramos, PhD USdC (2016), EPJ WoC 111, 10001 (2016)



Inverse kinematics: A window to new observables in fission.

M. Caamaño and F. Farget, PLB 770, 72 (2017)



$$E_{\text{FS}}^* + M_{\text{FS}} = M_1 + M_2 + \text{TKE} + \text{TXE},$$

$$E_i^{*,\text{def}} = B(A_i, Z_i, \beta_i) - B(A_i, Z_i, \beta_i^{\text{g.s.}})$$

$$\text{TKE} = E^{\text{k,C}}(Z_1, Z_2, \beta_1, \beta_2, d) + E^{\text{k,pre}}$$

PRC 90,
054607 (2014)

$$\text{TXE} = E^{*,\text{Bf}} + E^{*,\text{dis}} + \sum_{i=1}^2 E_i^{*,\text{def}}$$

$$E^{*,\text{dis}} = F^{\text{dis}} (\text{TXE} - E^{*,\text{Bf}})$$

$$\sum_{i=1}^2 E_i^{*,\text{int}} = E^{*,\text{Bf}} + E^{*,\text{dis}}$$

shared according statistical eq.

$$\text{TXE} = \sum_{i=1}^2 Q_i^n + \nu_i \varepsilon_i + E_i^\gamma$$

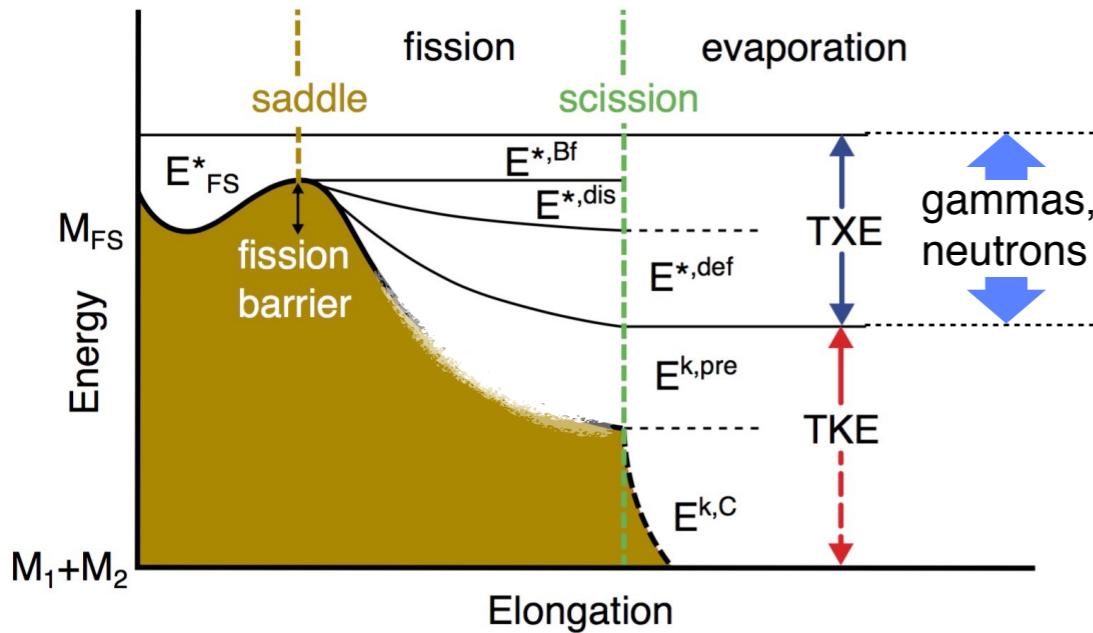
$$E_i^\gamma = S n_i^{\text{post}} \frac{\nu_i}{\nu_1 + \nu_2}$$

$$E_i^* = Q_i^n + \nu_i \varepsilon + E_i^\gamma$$

$$E_i^{*,\text{def}} = E_i^* - E_i^{*,\text{int}}$$

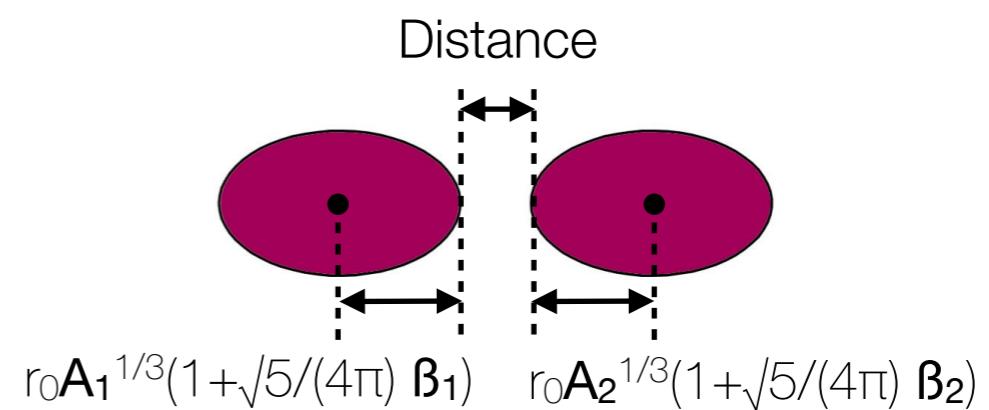
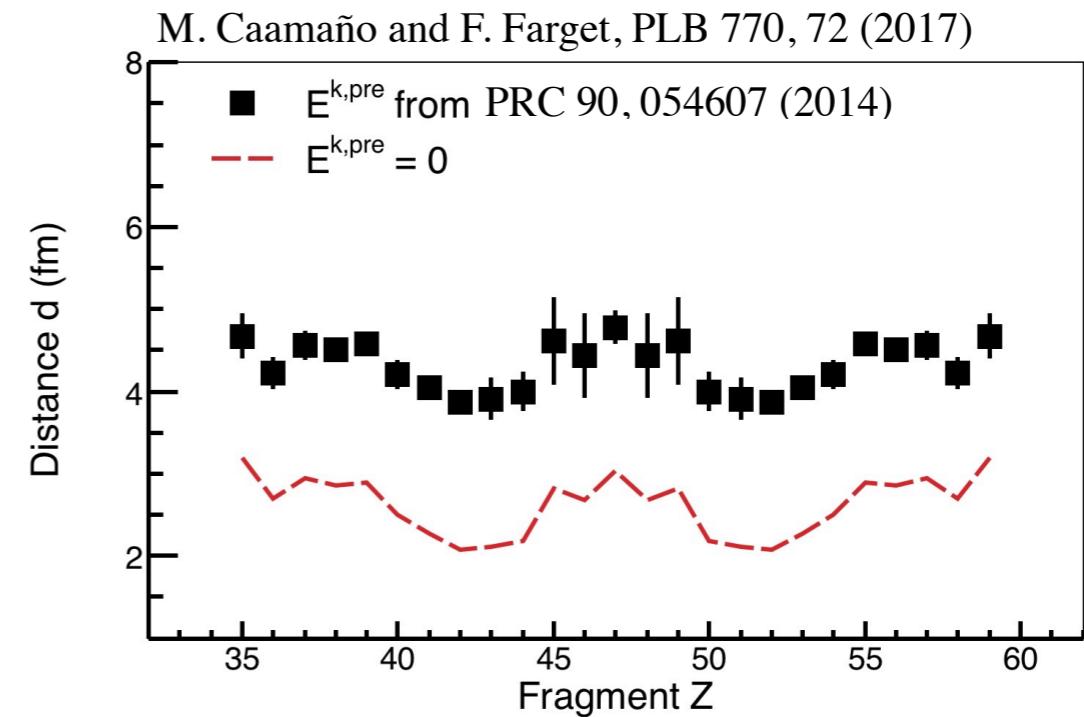
Inverse kinematics: A window to new observables in fission.

New access to scission; the case of ^{240}Pu (9 MeV)

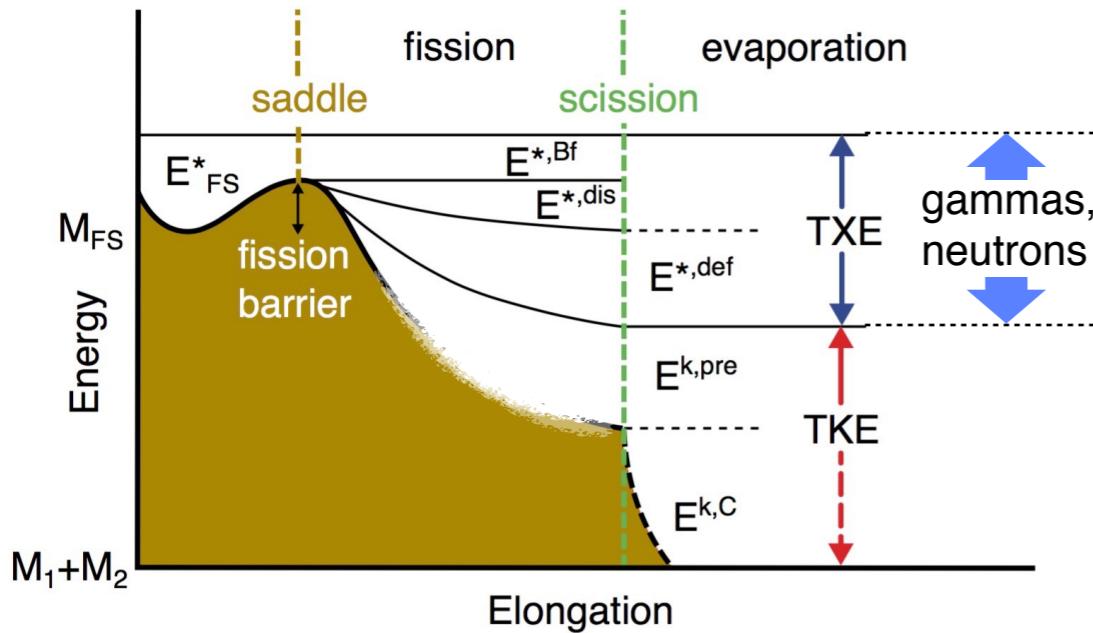


$$M_{\text{FS}} + E^*_{\text{FS}} = TXE + TKE + M_1 + M_2$$

$$\text{TKE} = E^{k,\text{pre}} + E^{k,C}$$

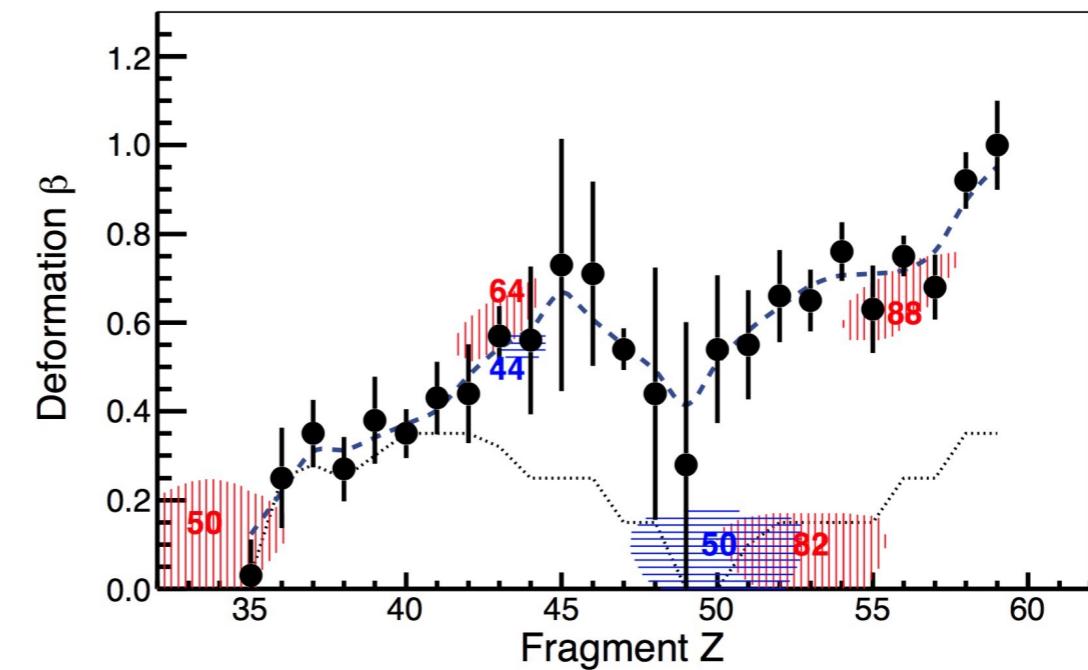
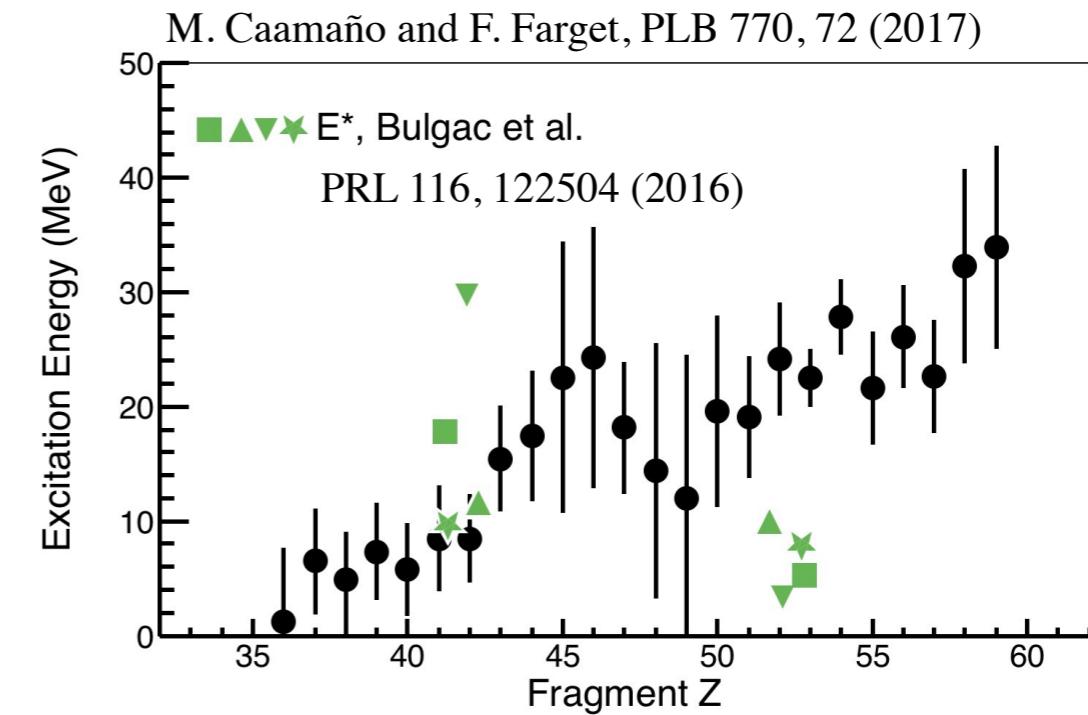


New access to scission; the case of ^{240}Pu (9 MeV)



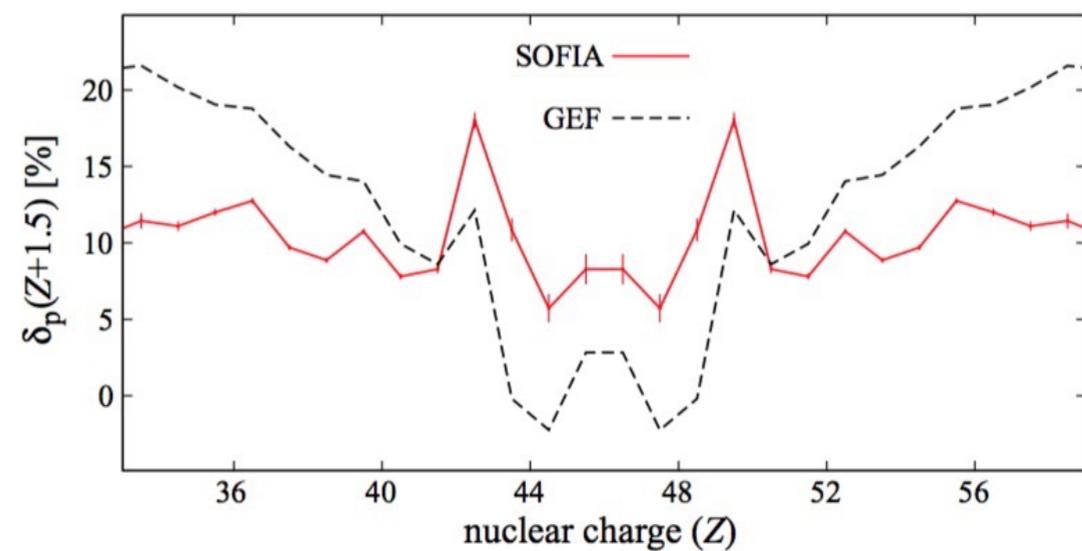
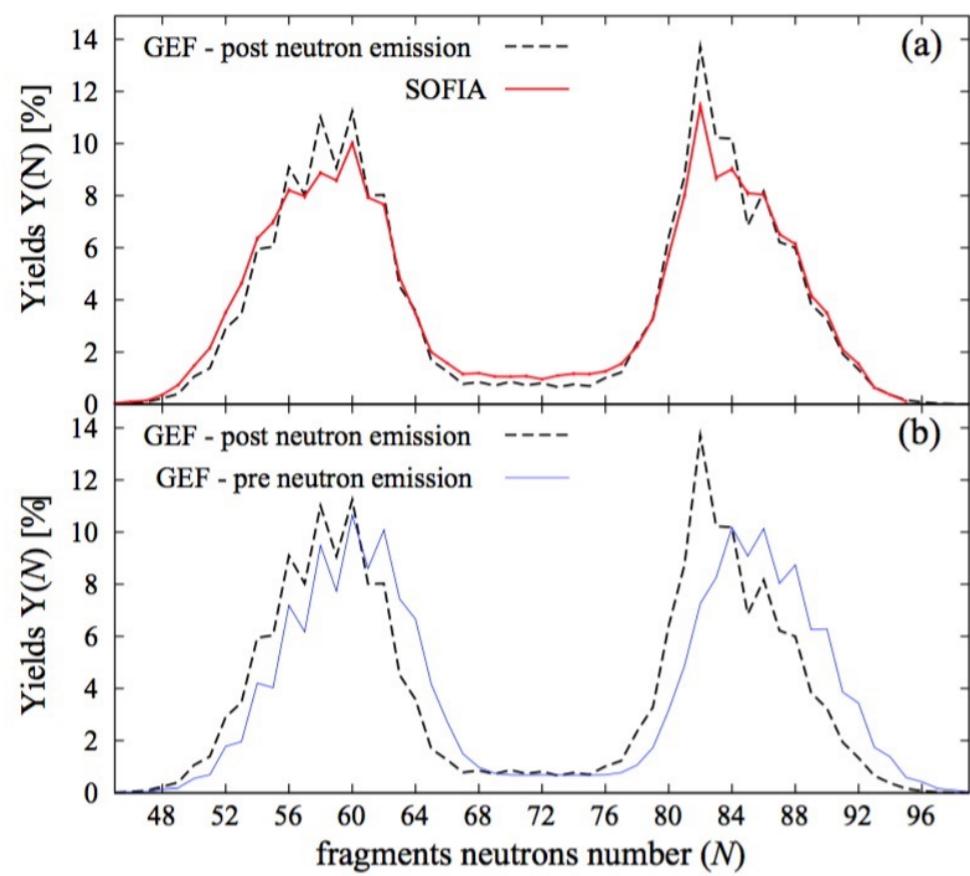
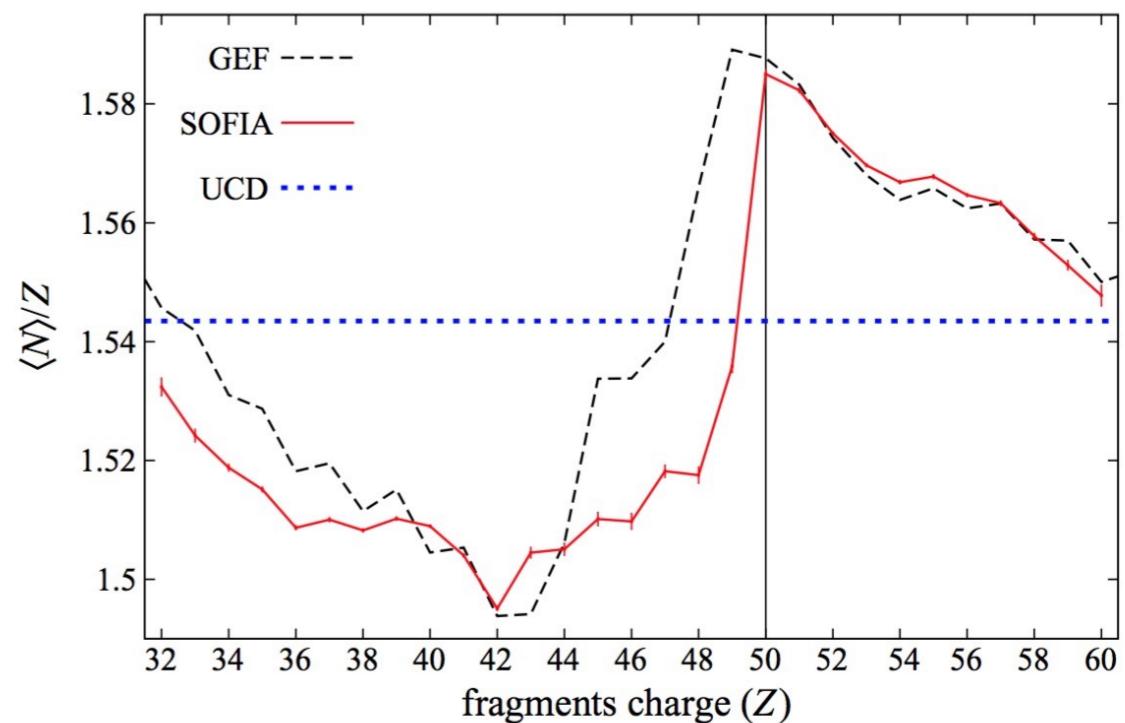
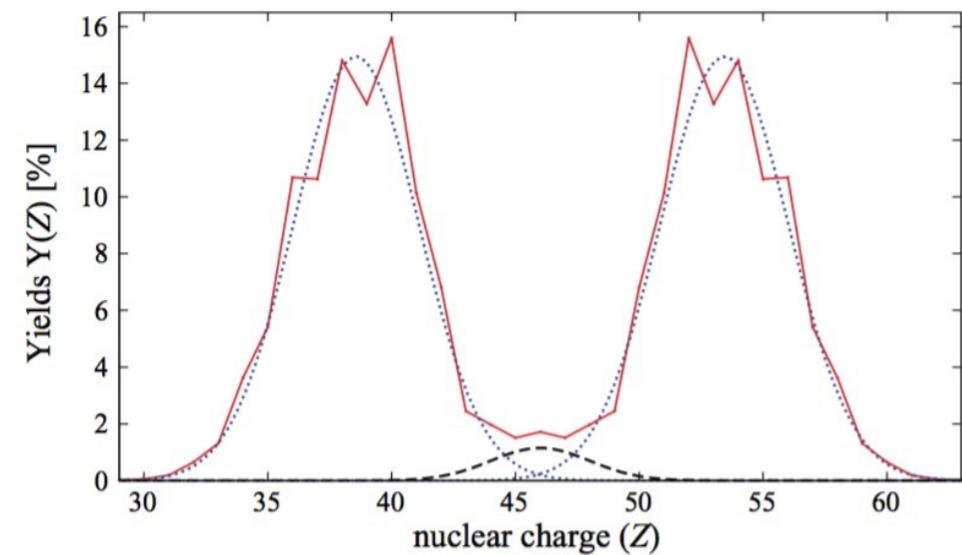
$$M_{\text{FS}} + E^*_{\text{FS}} = \text{TXE} + \text{TKE} + M_1 + M_2$$

$$\begin{aligned} \text{TXE} &= E^*, \text{Bf} + E^*, \text{dis} + E^*, \text{def} \\ &= v \cdot (Q_n + \varepsilon) + E^\gamma \end{aligned}$$



SOFIA @ GSI

$^{238}\text{U} (\text{em},\text{f})$ @ 650AMeV

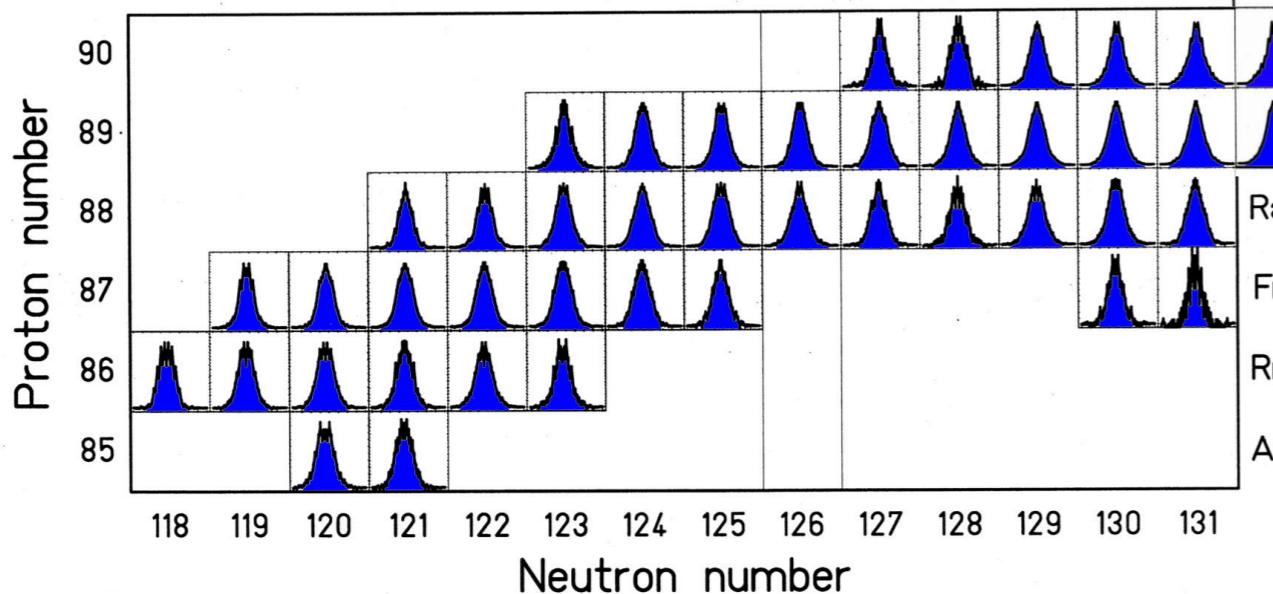


E. Pellereau et al., PRC 95, 054603 (2017)

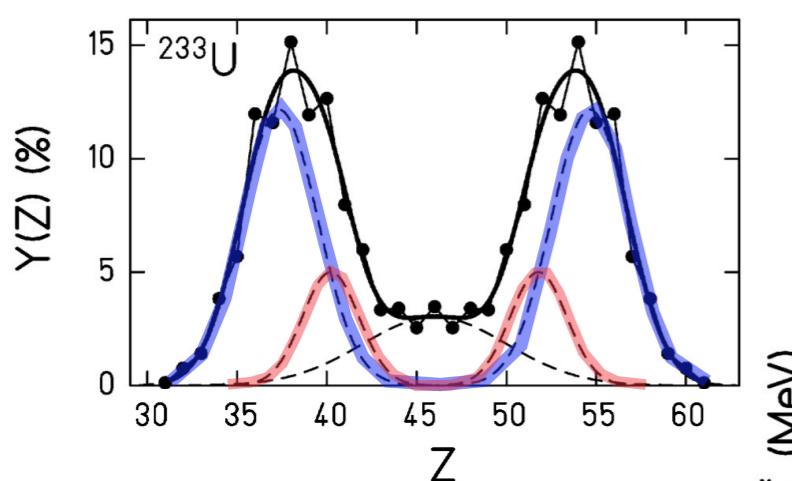
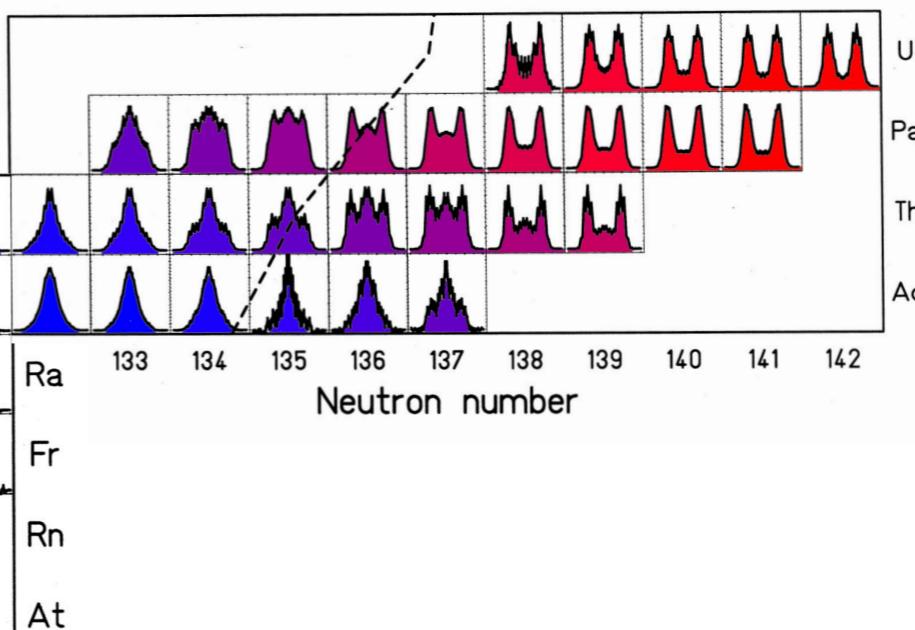
Inverse kinematics: A window to new observables in fission.

FRS campaign @ GSI

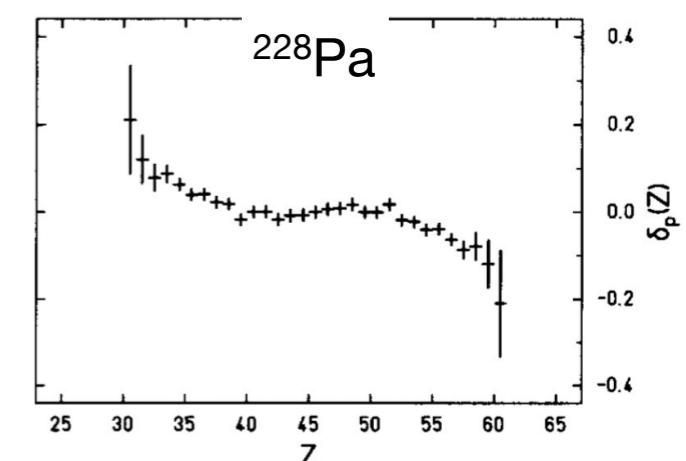
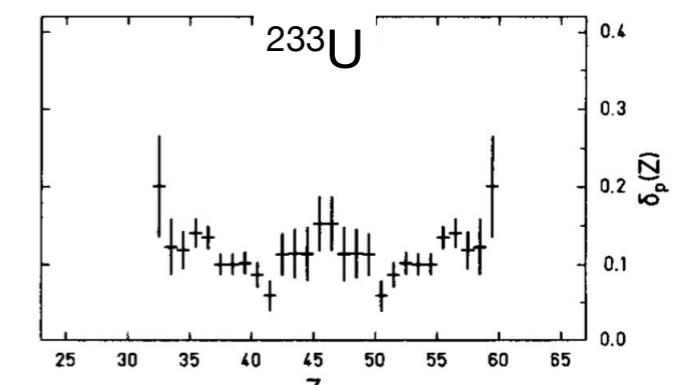
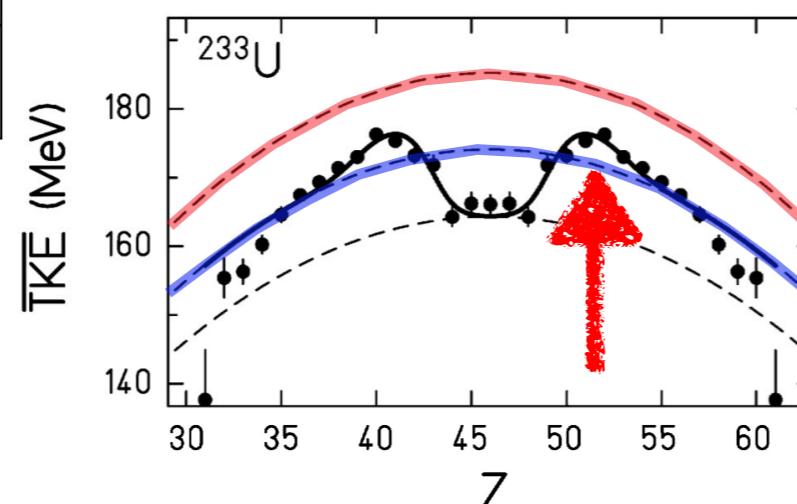
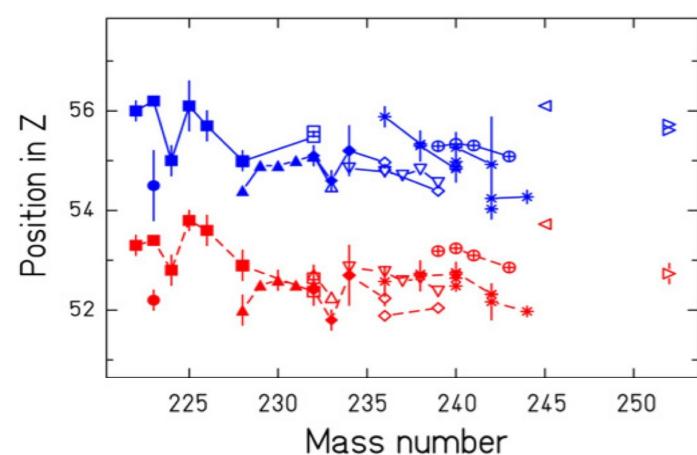
K.-H. Schmidt et al., NPA 665 (2000) 221



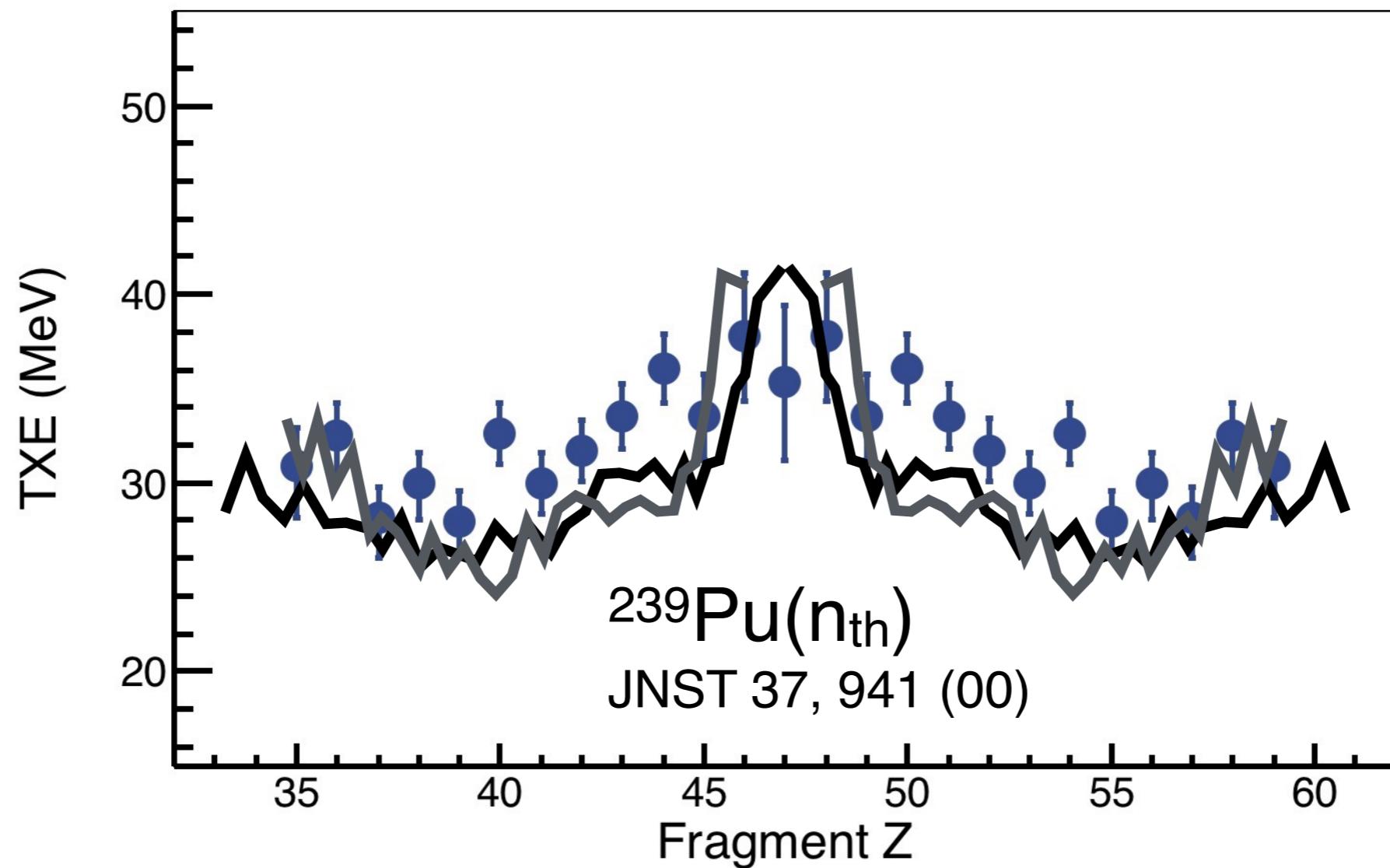
S. Steinhäuser et al. NPA 634 (1998) 89

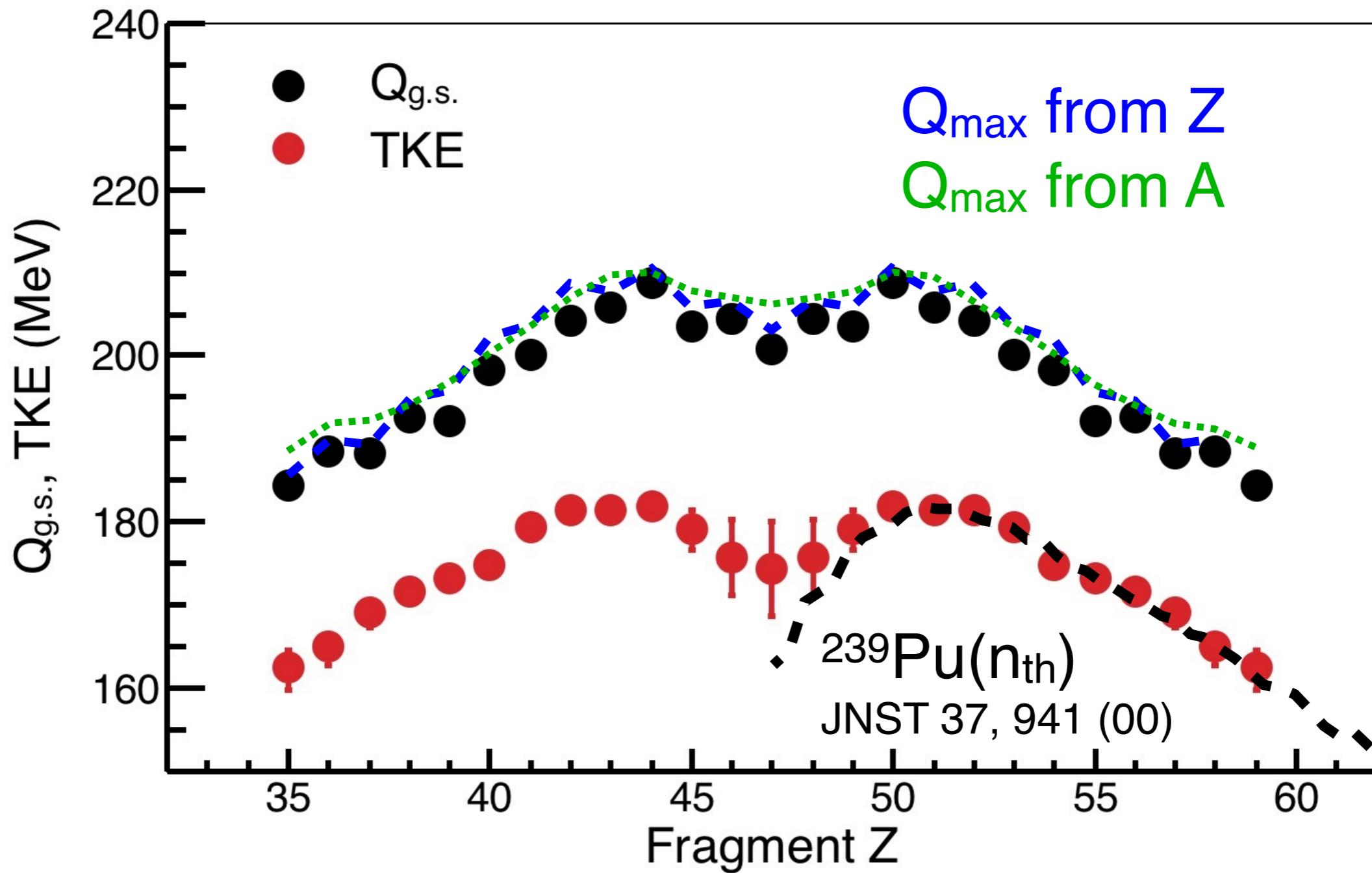


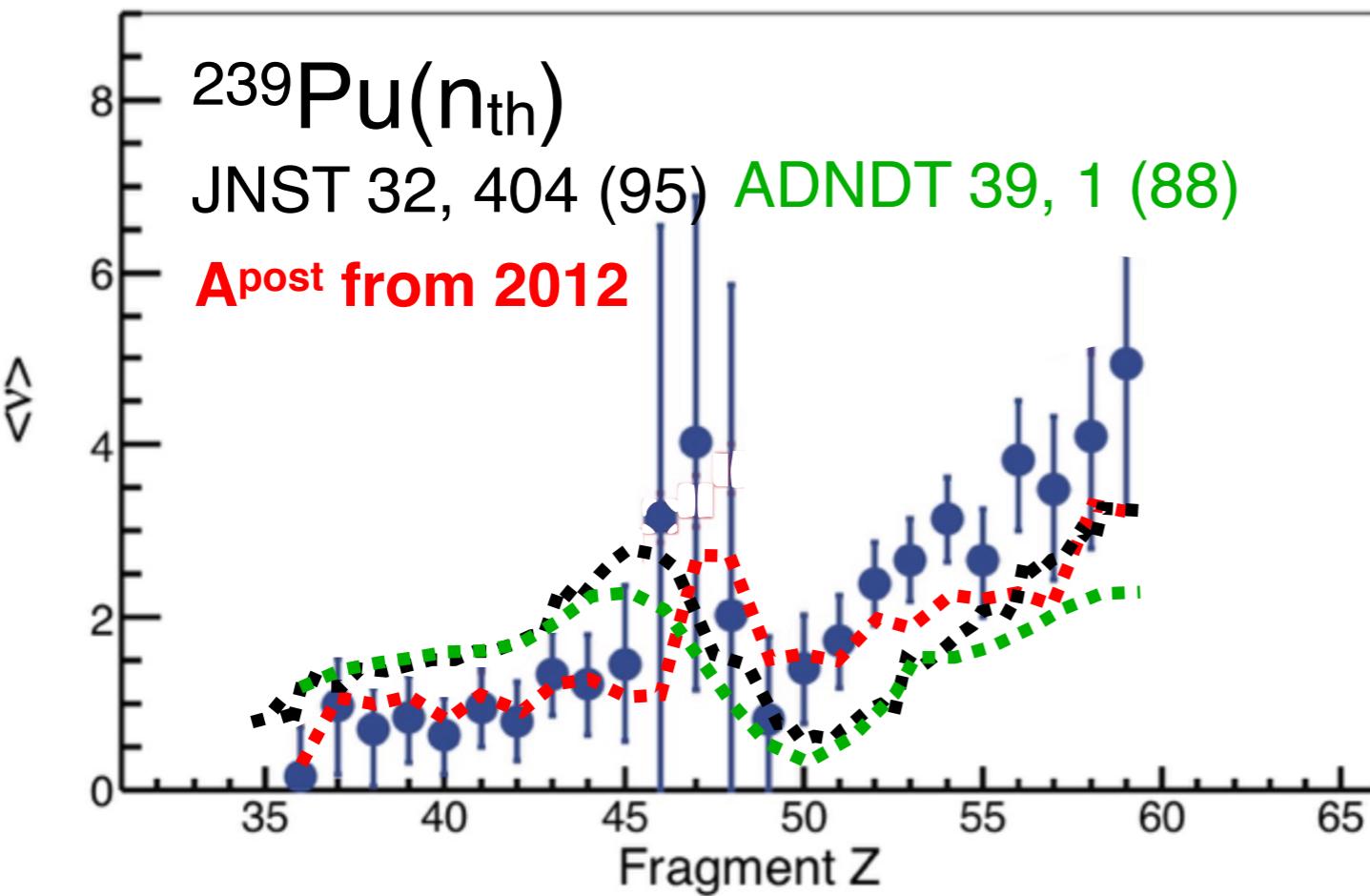
C. Böckstiegel et al. NPA 802 (2008) 12



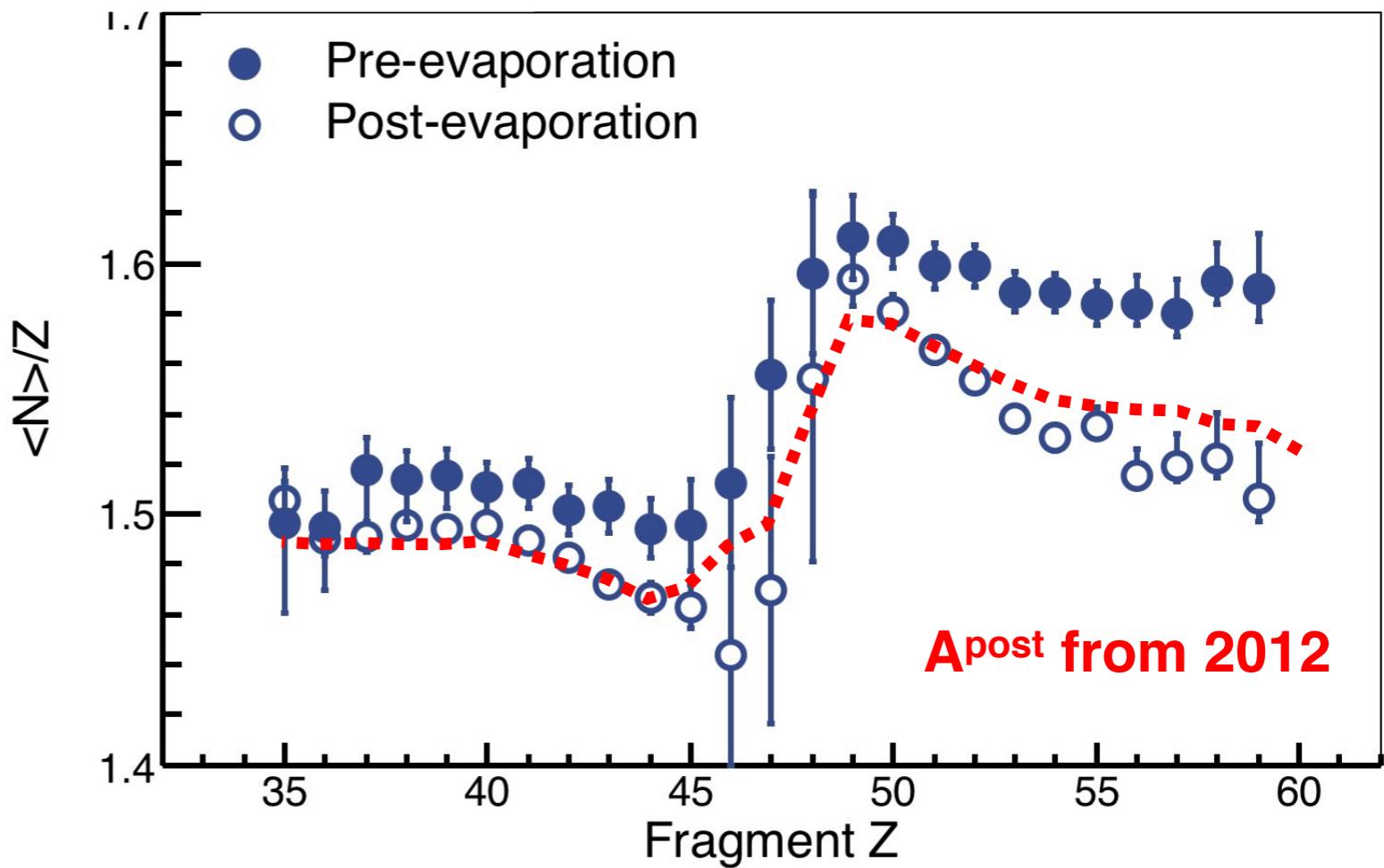
M. Caamaño (USC)

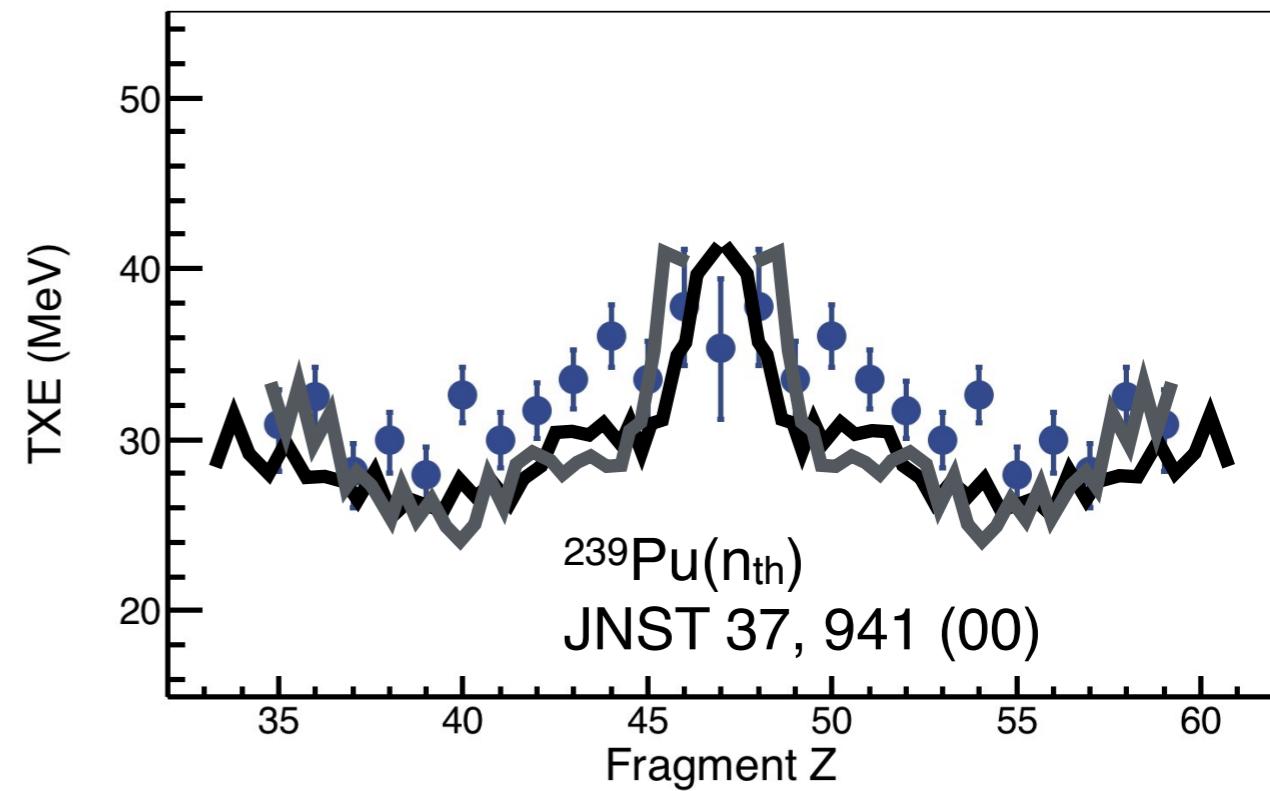
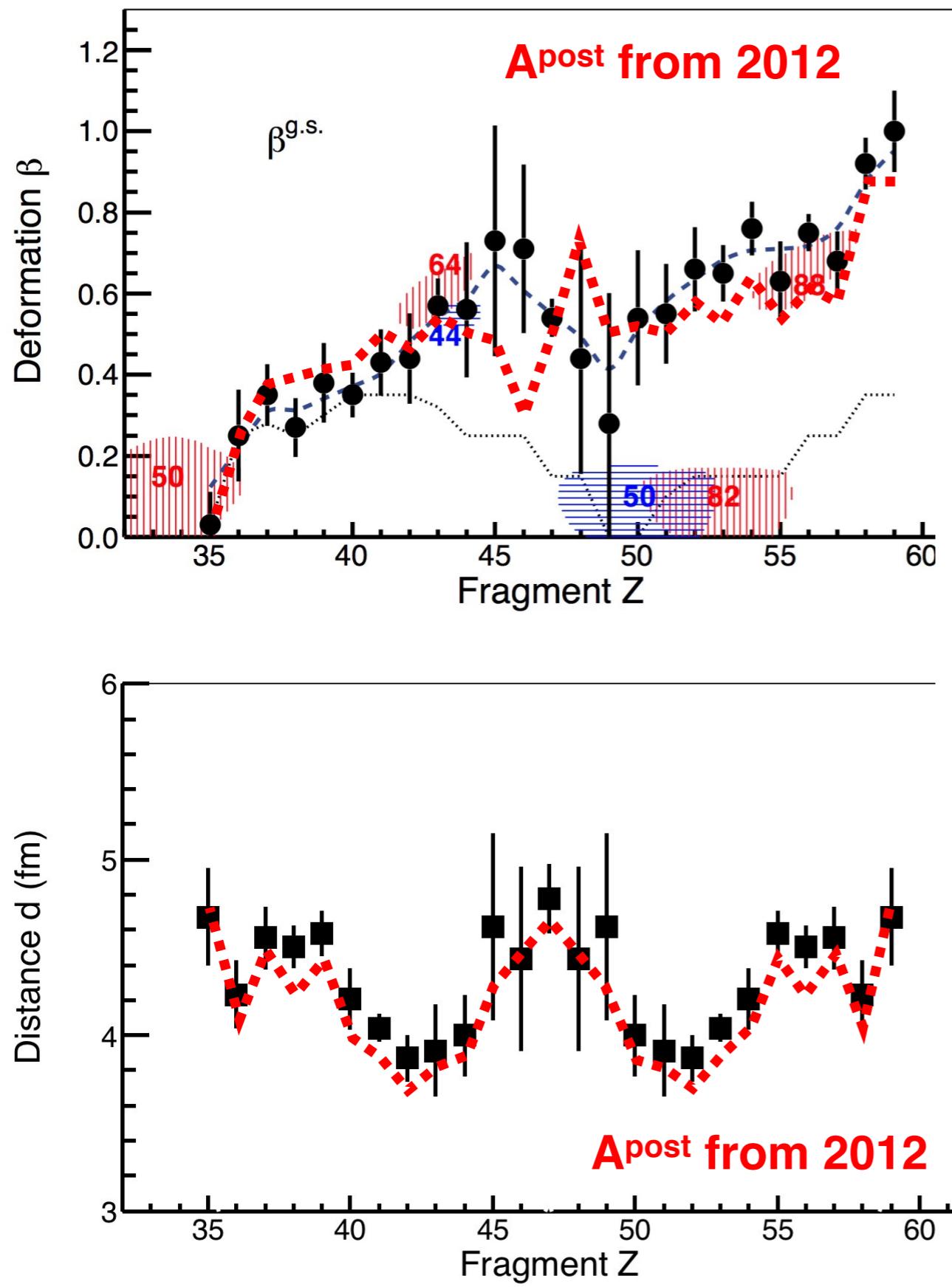


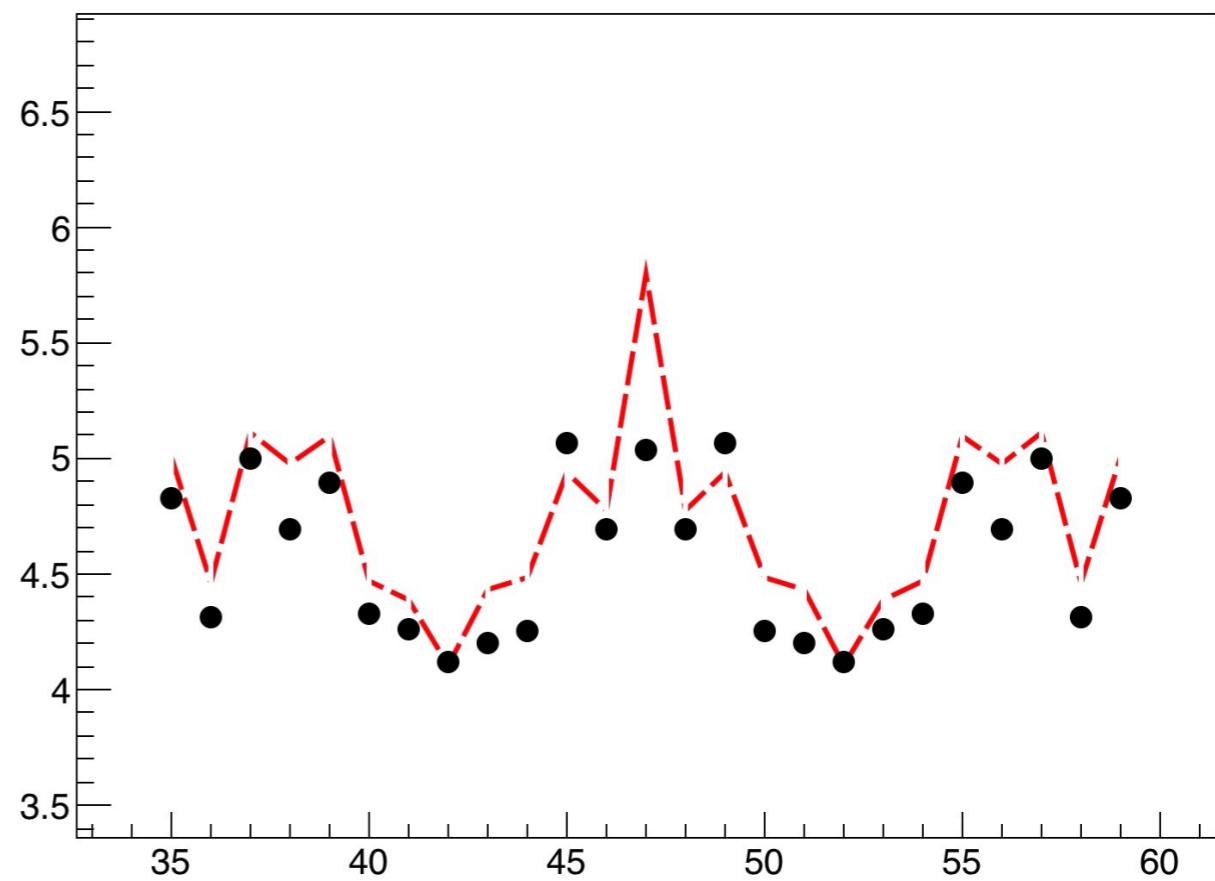
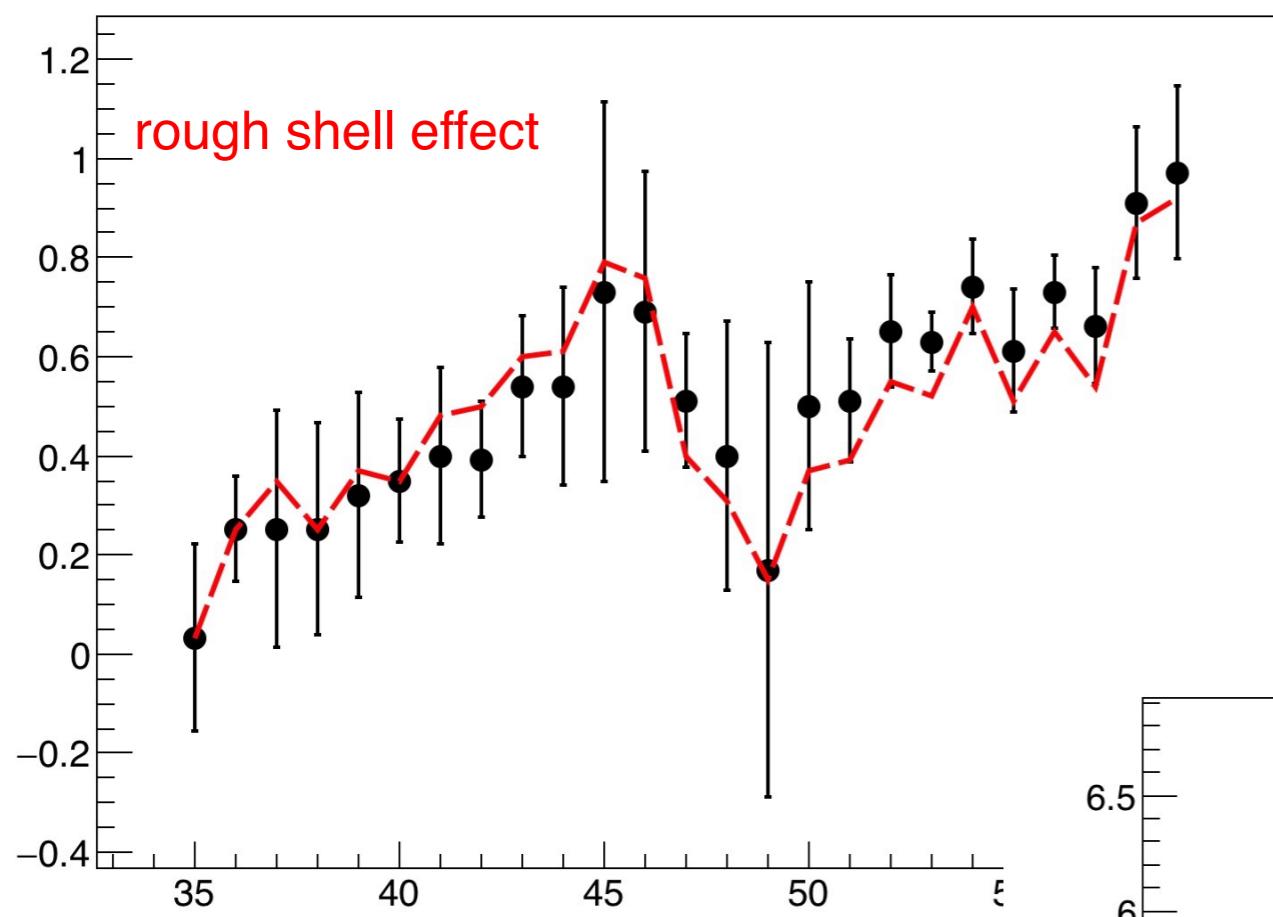


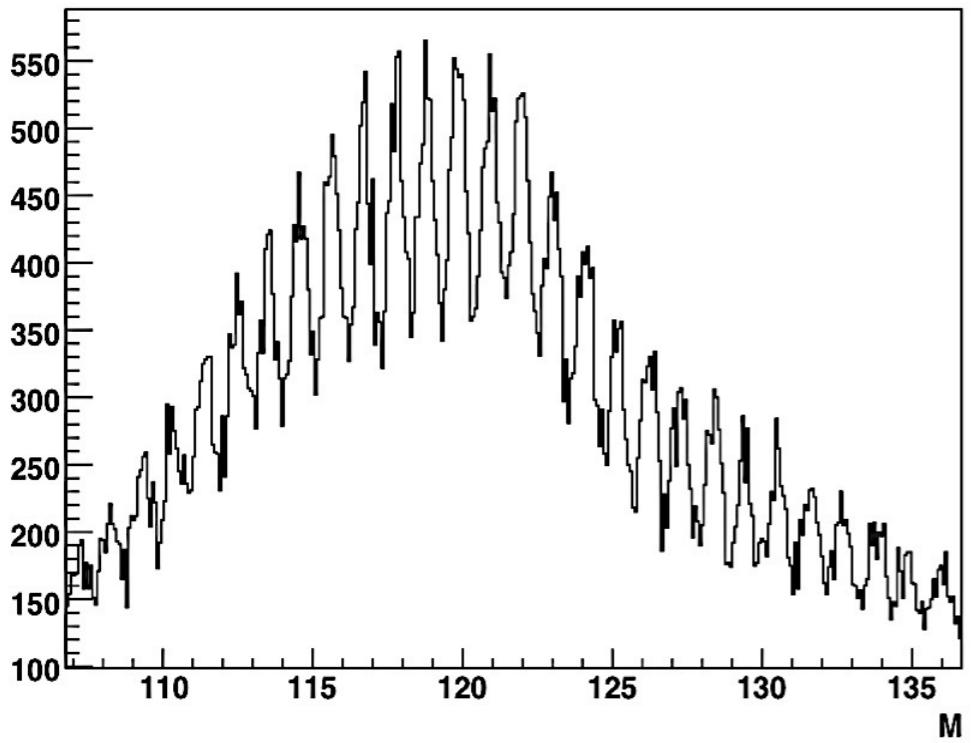


problems in mass measured
around symmetry: low
statistics



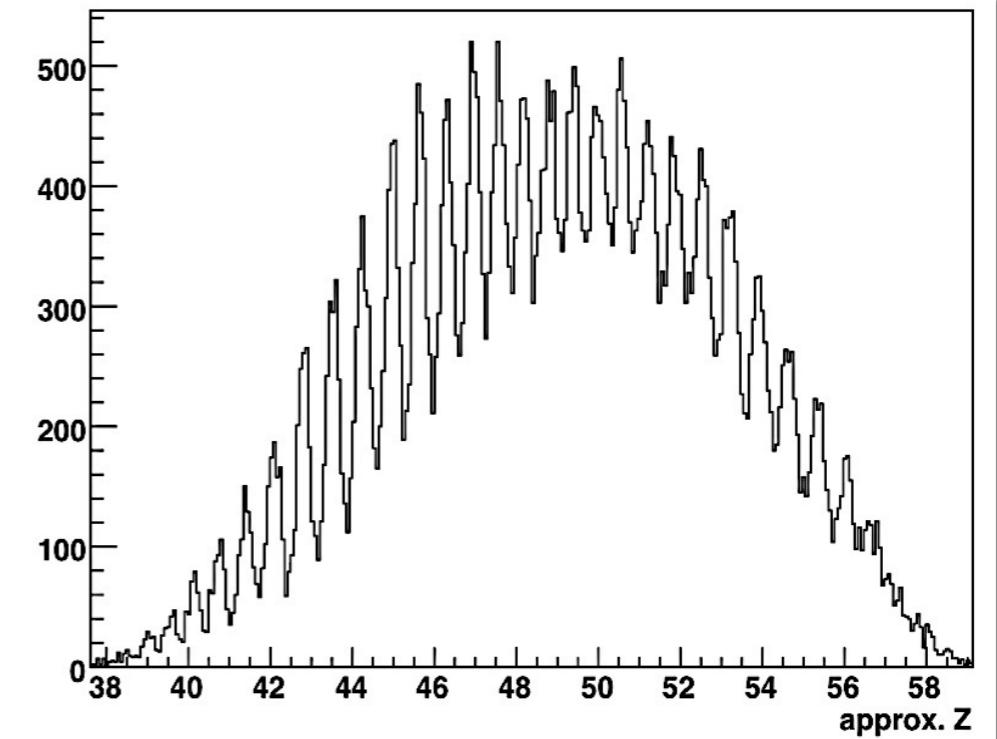






$$\Delta M/M \approx 0.6 \cdot 10^{-2}$$

Fragments
identified from
M ≈ 90 to
M ≈ 140



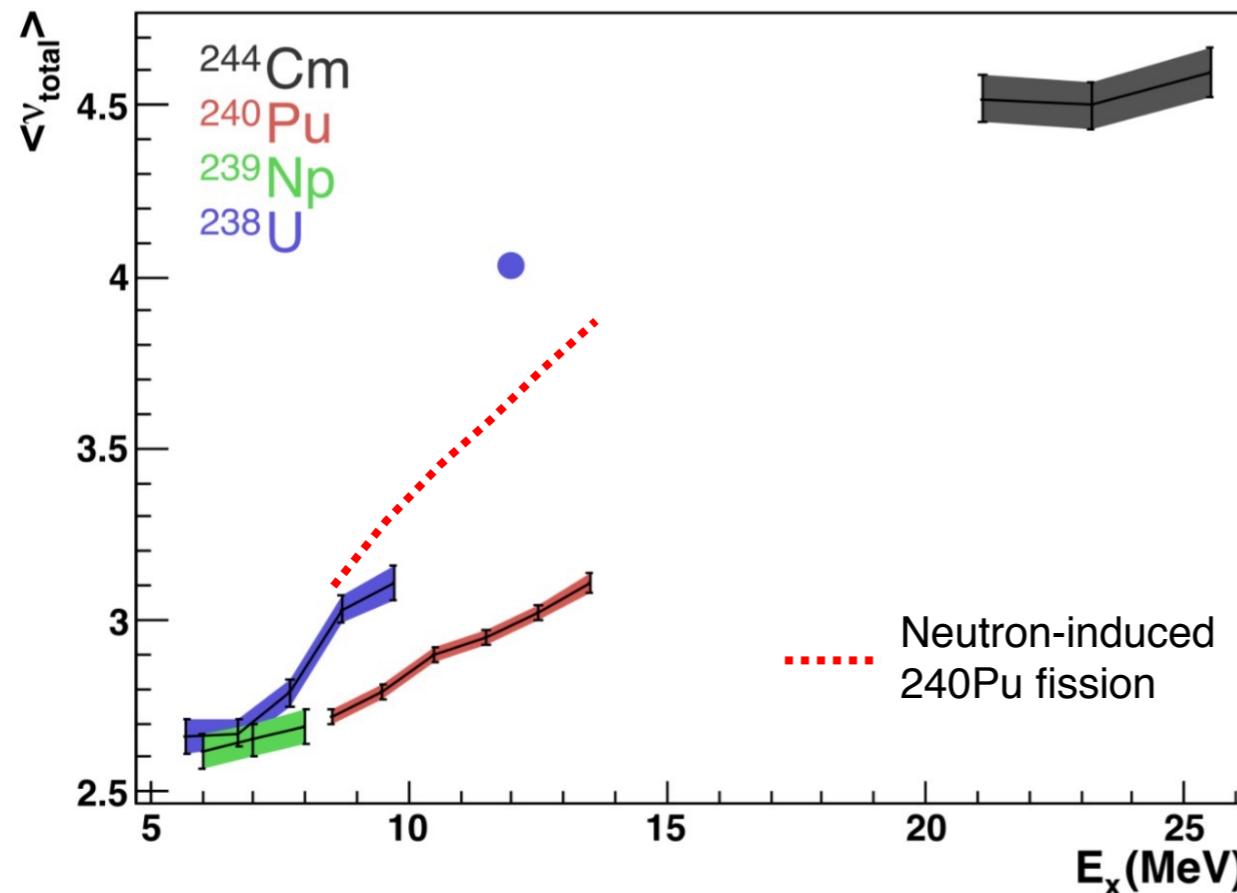
$$\Delta Z/Z \approx 1.5 \cdot 10^{-2}$$

Fragments identified from
Z ≈ 36 to **Z ≈ 59** in
600 MeV range

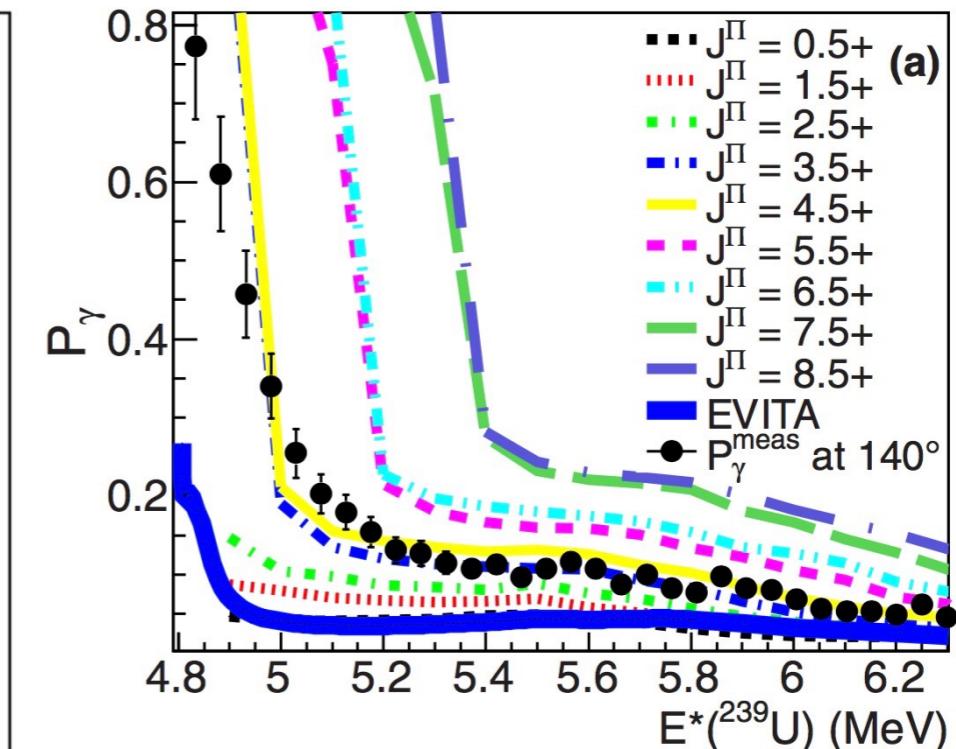
A set of revisited and new observables

Neutron evaporation

D. Ramos, PhD USC (2016), to be submitted to PRC



Q. Ducasse et al., PRC 94, 024614 (2016)



The evolution of the neutron evaporation with E^* is slower for the case of transfer-fission than for neutron-induced.

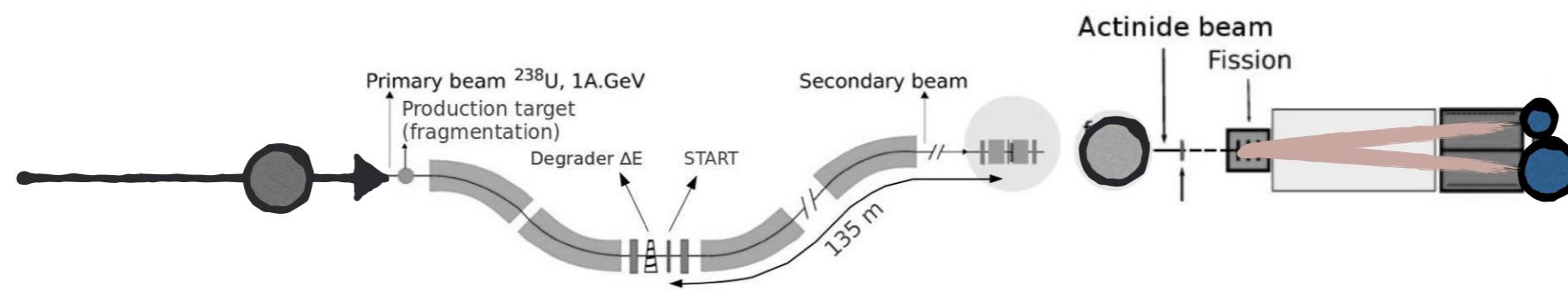
An measurement of angular momentum?



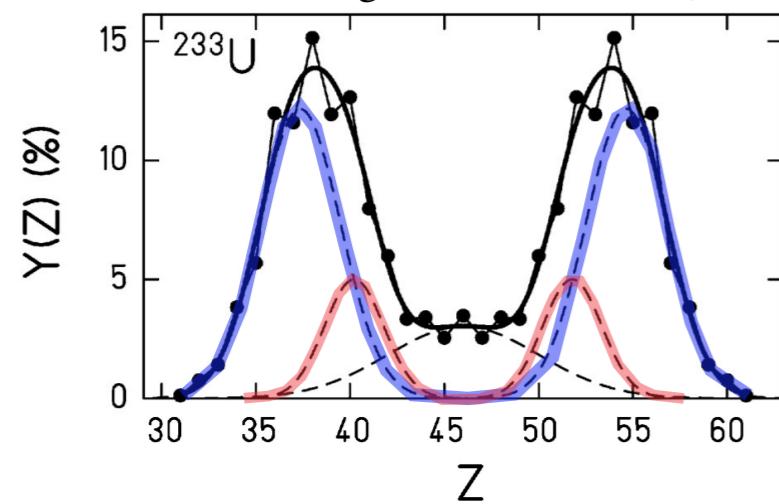
Inverse kinematics at GSI:

Production from fragmentation and e-m fission induced

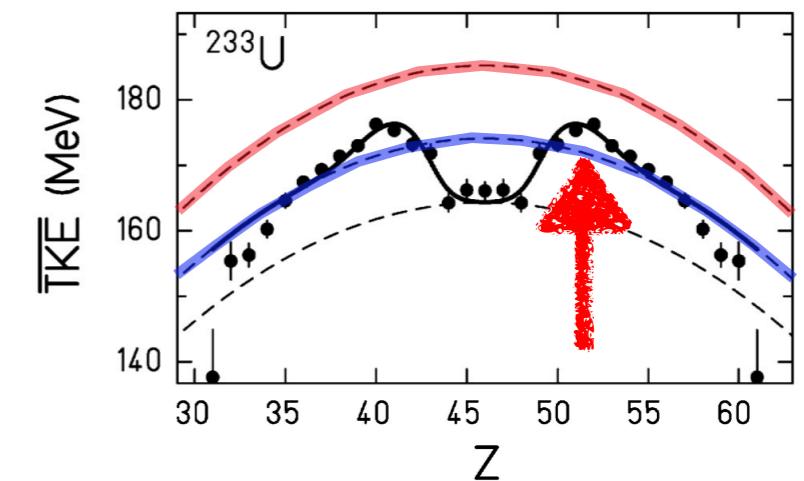
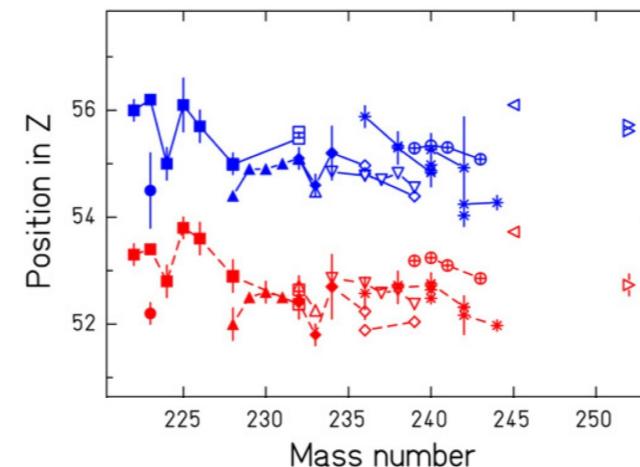
K.-H. Schmidt et al.



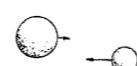
C. Böckstiegel et al. NPA 802 (2008) 12



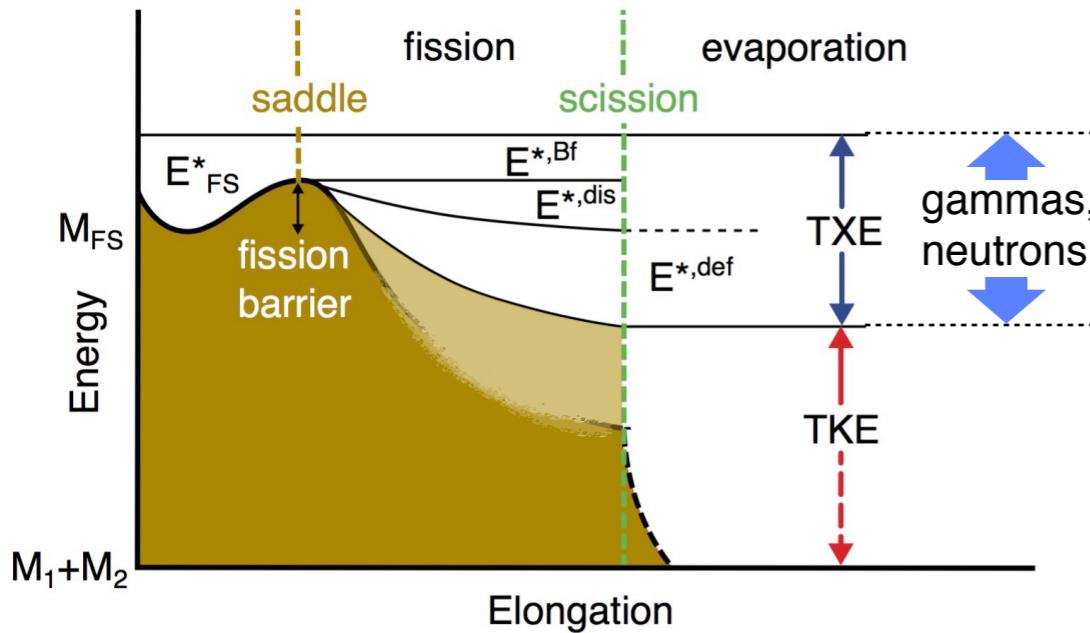
Accurate access to components on the yield distribution



Compact scission around $Z\sim 52$



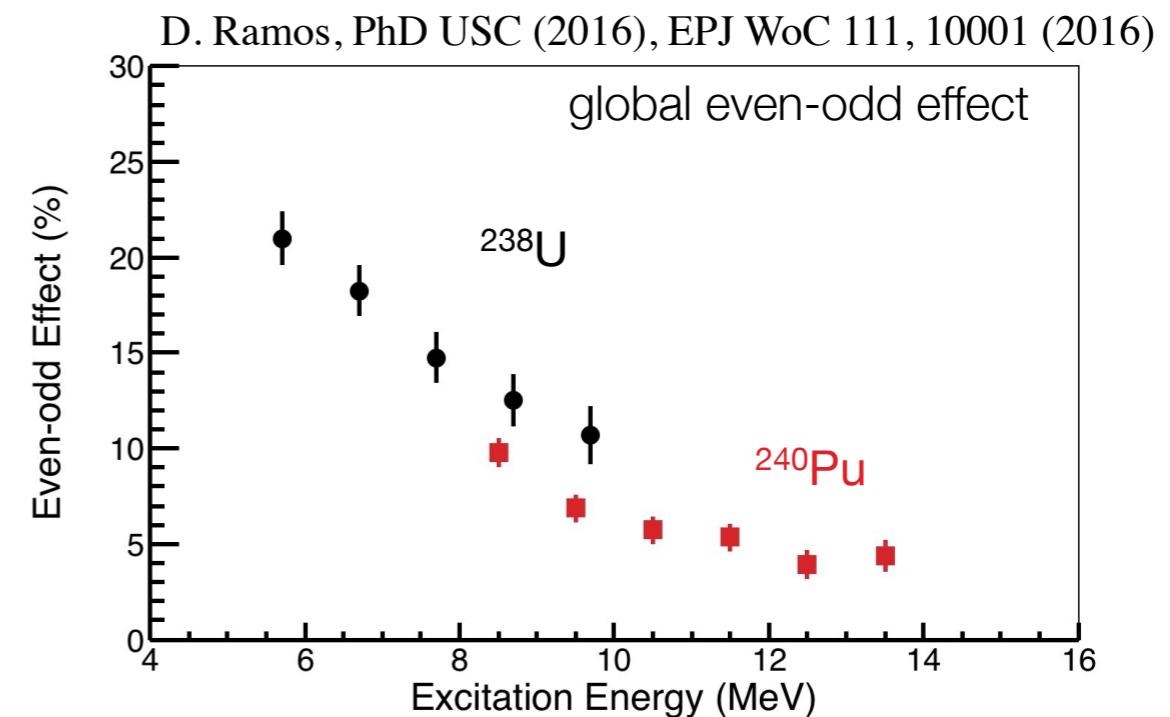
Even-odd effect and dissipation



$$M_{\text{FS}} + E^*_{\text{FS}} = \mathbf{TXE} + \mathbf{TKE} + M_1 + M_2$$

$$\mathbf{TXE} = \sum (E^{*,\text{Bf}} + \underline{E^{*,\text{dis}}} + E^{*,\text{def}})$$

There is a correlation between the **even-odd effect** and **dissipation**



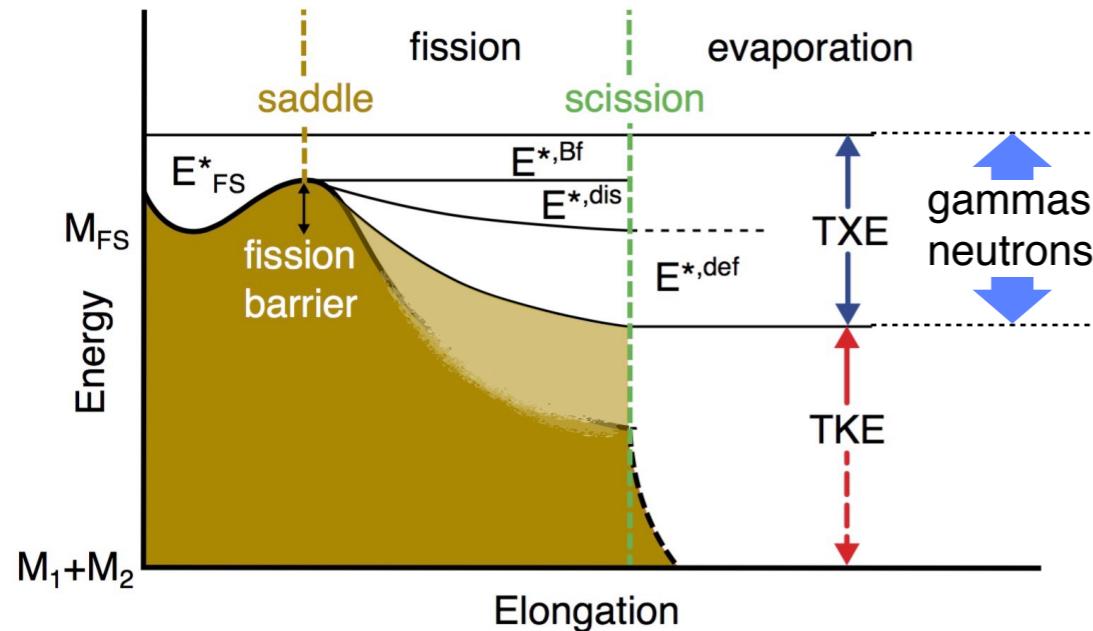
from data:
 $\ln \delta_Z \propto -TXE$

from theory:
 $E^{*,\text{diss}} \propto -\ln \delta_Z$

in the case of ^{240}Pu :
 $E^{*,\text{diss}} \approx 0.35 TXE$



Even-odd effect and dissipation



$$M_{\text{FS}} + E^*_{\text{FS}} = \text{TXE} + \text{TKE} + M_1 + M_2$$

$$\text{TXE} = \sum(E^*,\text{Bf} + E^*,\text{dis} + E^*,\text{def})$$

There is a correlation between the **even-odd effect** and **dissipation**

D. Ramos, PhD USC (2016), EPJ WoC 111, 10001 (2016)

