

# XXXIX International Conference on High Energy Physics – ICHEP2018



## Recent Progress with Muon g-2 Experiment at Fermilab



**Liang Li**  
**Shanghai Jiao Tong University**  
**On Behalf of Muon g-2 Collaboration**

# Muon g-2 Collaboration

**7 Countries 34 Institutes  
185 Members**



## US Universities

- Boston
- Cornell
- Illinois
- James Madison
- Kentucky
- Massachusetts
- Michigan
- Michigan State
- Mississippi
- Northern Illinois
- North Central College
- Regis
- UT, Austin
- Virginia
- Washington

## US National Labs

- Argonne
- Brookhaven
- Fermilab



## Italy

- Frascati
- Molise
- Naples
- Pisa
- Rome 2
- Trieste
- Udine



## China

- Shanghai



## Germany

- Dresden



## England

- Lancaster
- Liverpool
- University College London



## Korea

- CAPP/IBS
- KAIST

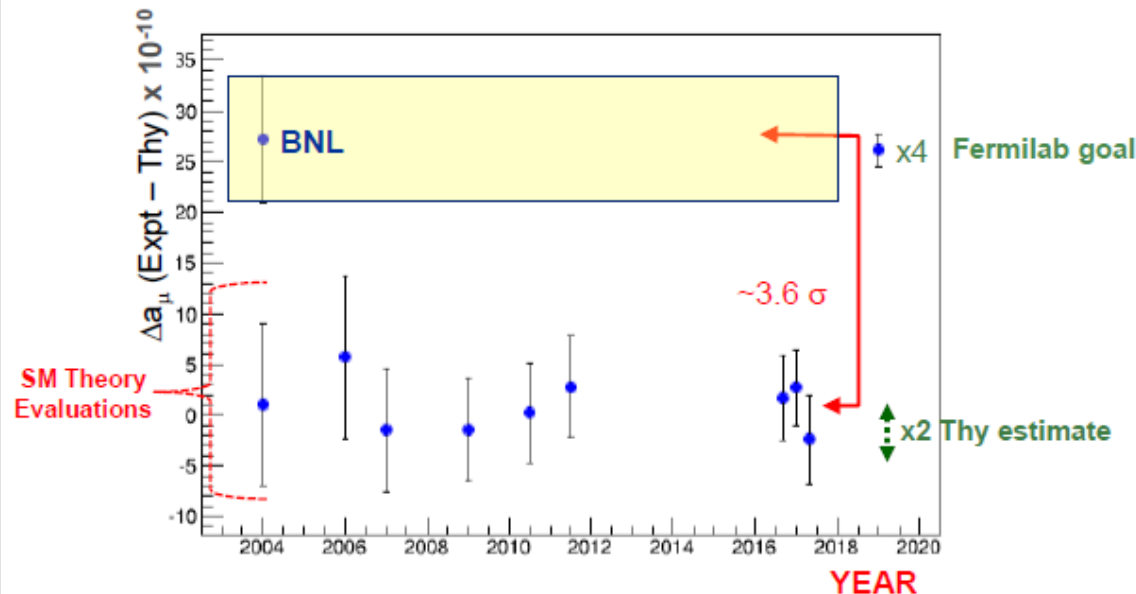
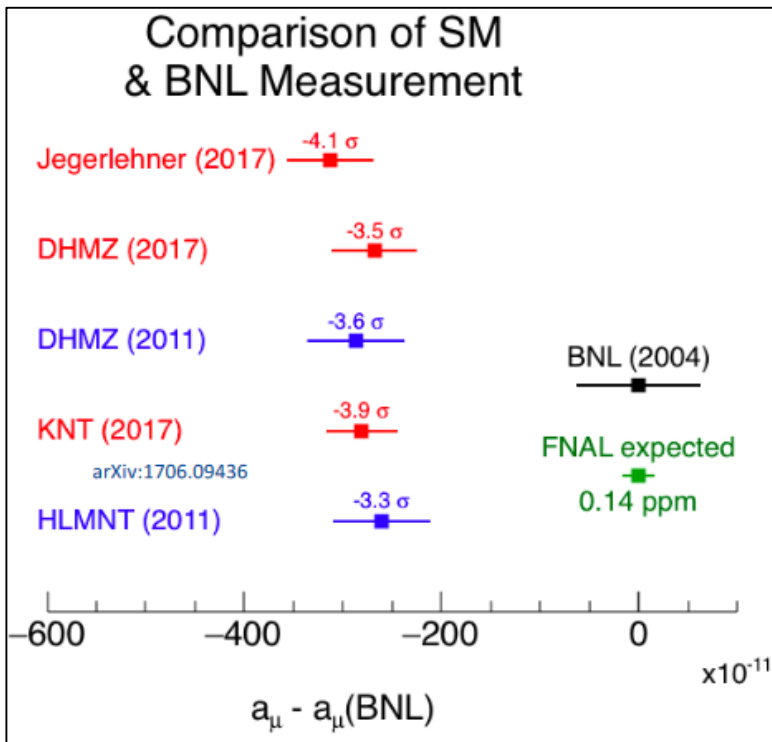


## Russia:

- JINR/Dubna
- Novosibirsk



# Today's Status about Muon g-2



D. Hertzog's projection map

## 3.3 $\sigma$ – 4.1 $\sigma$ difference depending on theory calculation

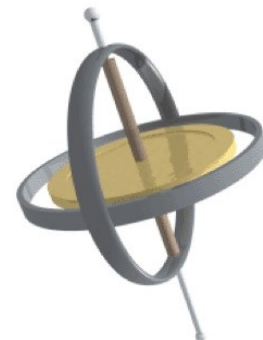
- If the discrepancy sustains, strong indication of new physics!
- Even if not,  $\Delta a_\mu$  tightly constraints new physics model
- Significant implications to interpret any BSM phenomena

# Pedagogical: What is (muon) g-2?

## Spin, magnetic momentum, g-factor

- Intrinsic magnetic momentum for any (charge) particle with spin  $S$
- g-factor dictates the relationship between momentum and spin, tells something fundamental about the particle itself (and those interacting with it)
  - Classical system  $\rightarrow g = 1$
  - Elementary particles such as electrons  $\rightarrow g = 2$
  - Composite particles such as protons  $\rightarrow g \neq 2$
- It provides a unique prospective to analyze the particle without 'breaking' it: observe and learn!

$$\vec{\mu}_S = g \frac{q}{2m} \vec{S}$$



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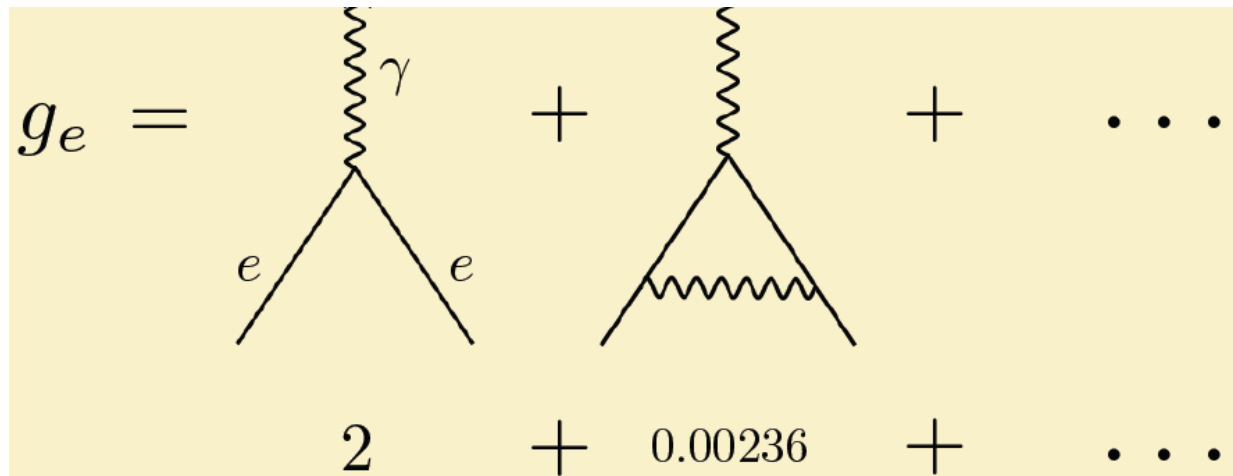
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The image shows the expansion of the electron g-factor,  $g_e$ , as a sum of Feynman diagrams. The first diagram is a tree-level vertex where an electron line splits and recombines with the emission of a photon (wavy line labeled  $\gamma$ ). Below this diagram is the number 2. This is followed by a plus sign and a second diagram, which is a one-loop correction where a photon is emitted from the electron line, forms a loop with another electron line, and then recombines. Below this diagram is the value 0.00236. This is followed by another plus sign and an ellipsis (...), indicating higher-order terms in the series.

$$g_e = 2 + 0.00236 + \dots$$

First order QED: beginning of QED and the Standard Model

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- From 'empty space'  $\rightarrow$  'everything included'
  - Consider QED, hadronic, electroweak corrections...

$$a_{\mu}^{SM} = a_{\mu}^{QED} + a_{\mu}^{had} + a_{\mu}^{EW} +$$

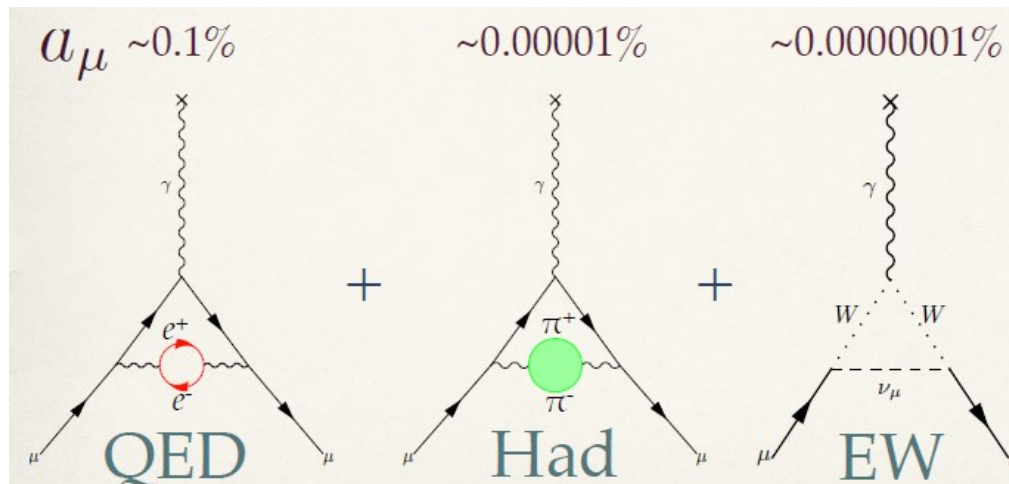
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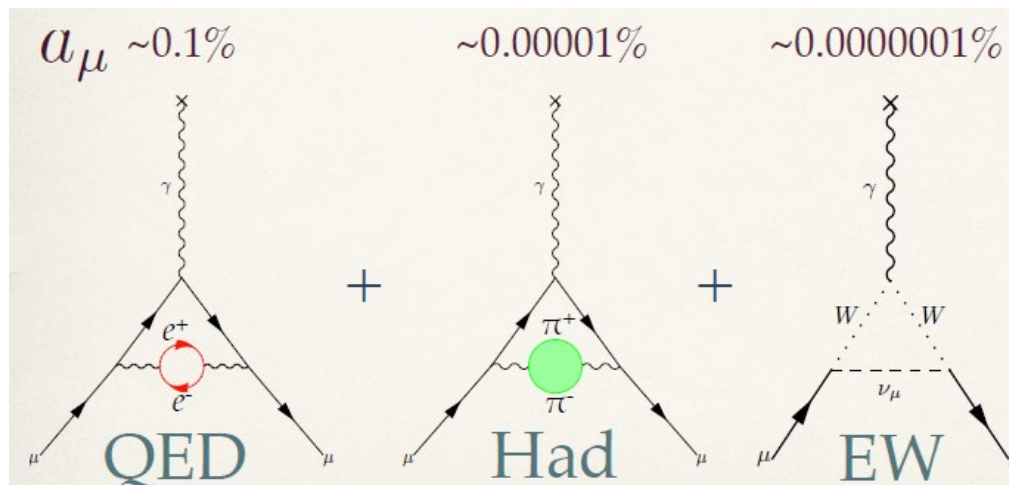
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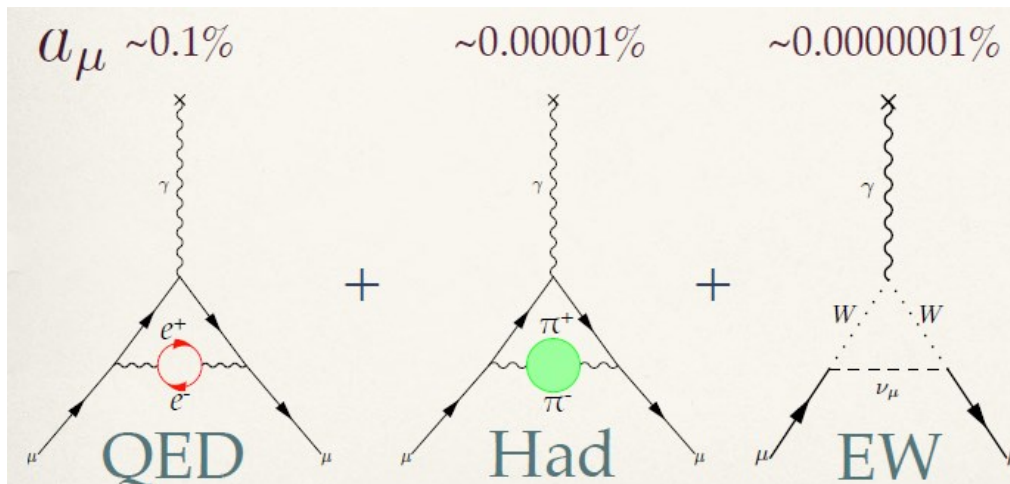
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- Muon is special
  - $m_{\mu}/m_e \sim 200$ , sensitivity  $\sim 200^2 \sim 10^4$  (effects on muons are much easier to be observed than electrons)
  - Easy to make ample production, life time ( $2.2\mu s$ ) long enough to 'observe' and make measurements



+

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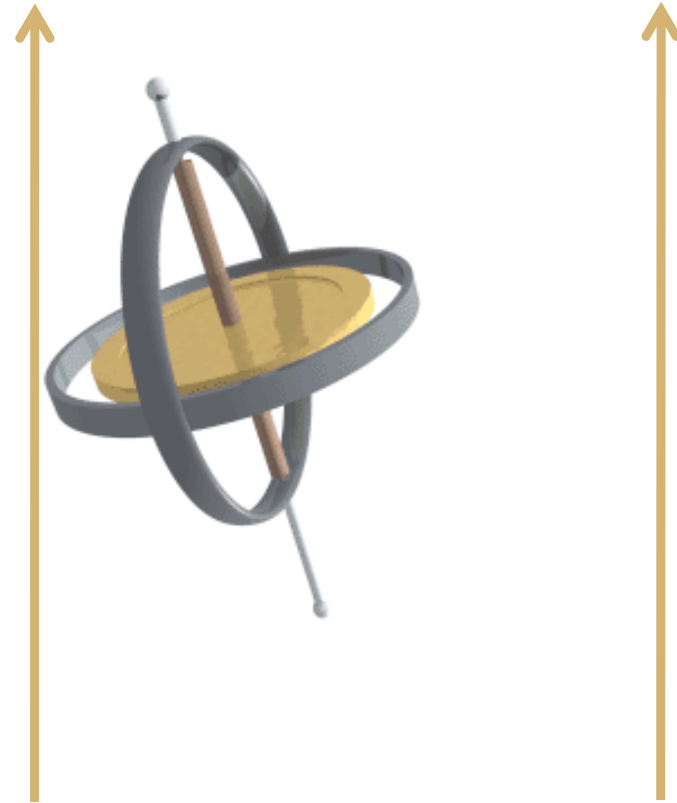
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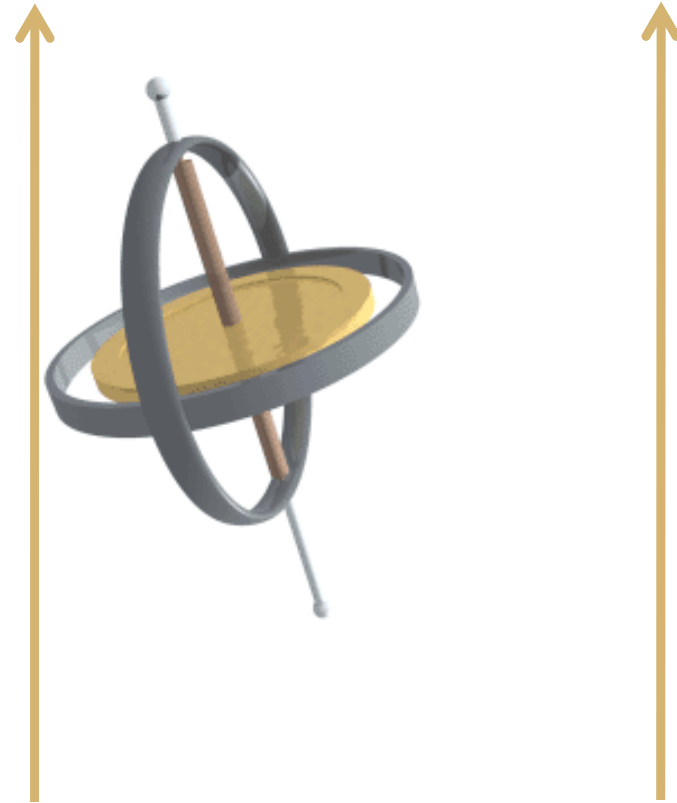
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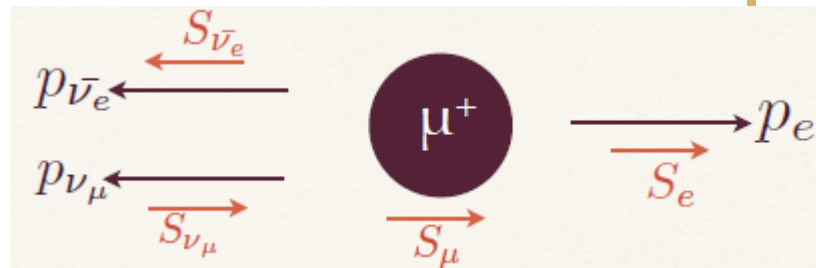
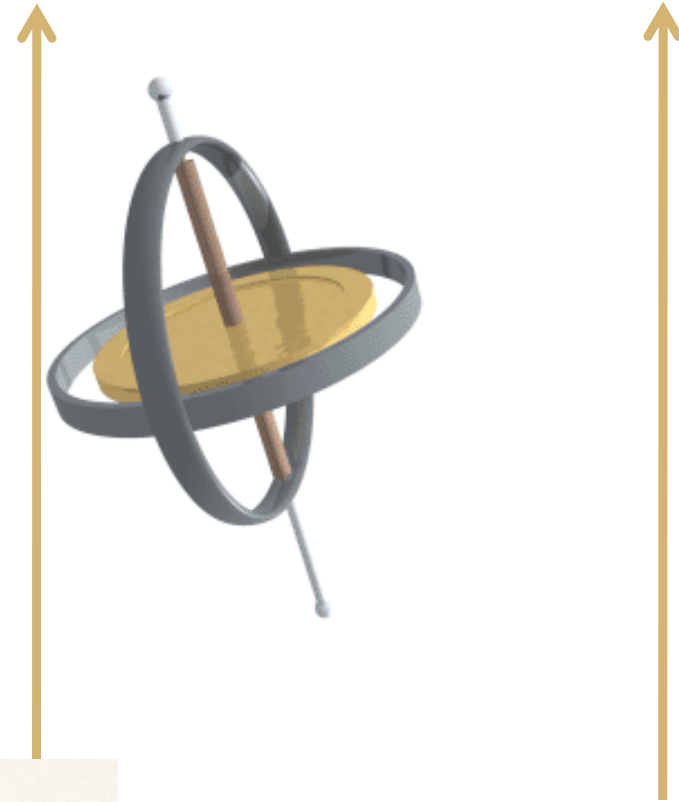


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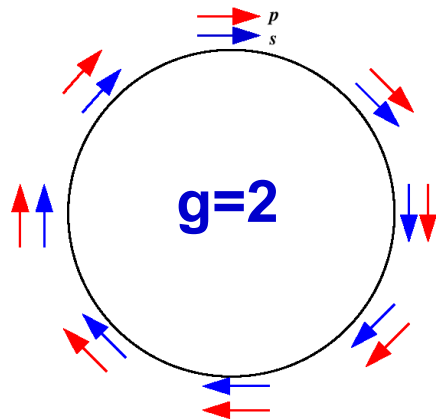


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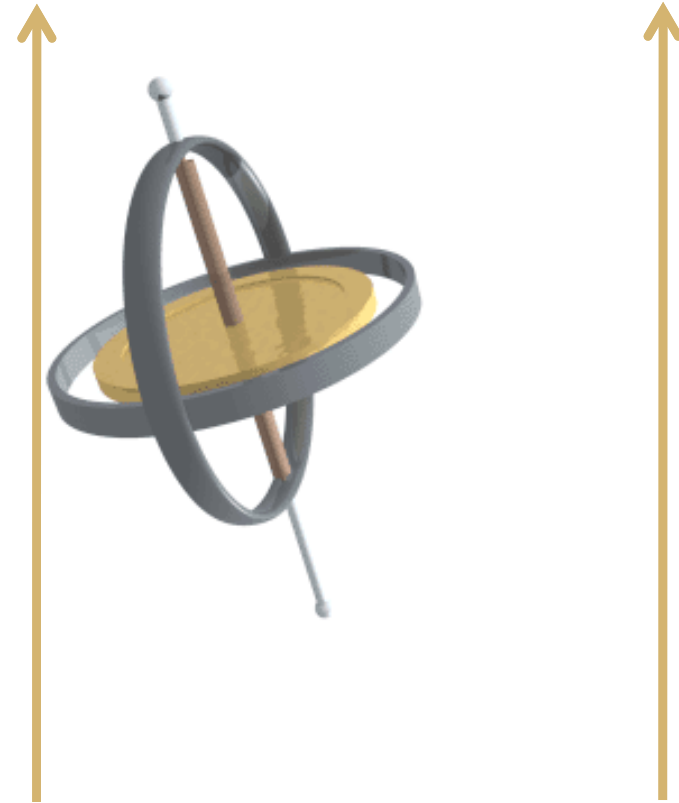
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$$\omega_c = \frac{eB}{mc}$$

$$\omega_s = g \frac{eB}{2mc}$$





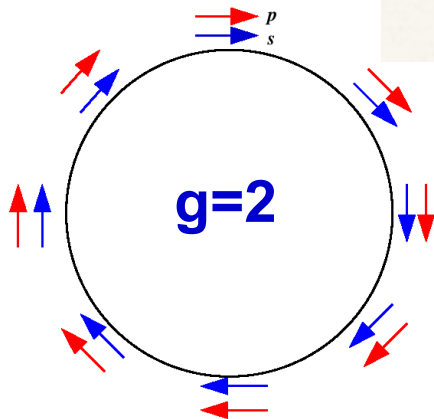
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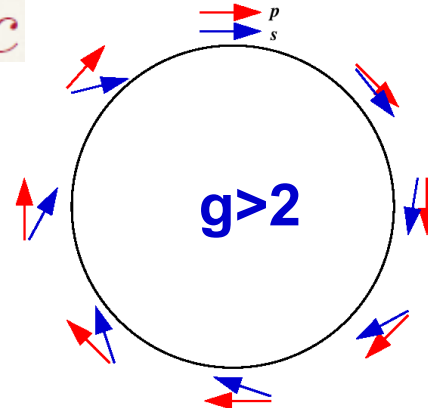
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$$\omega_a = \omega_s - \omega_c$$

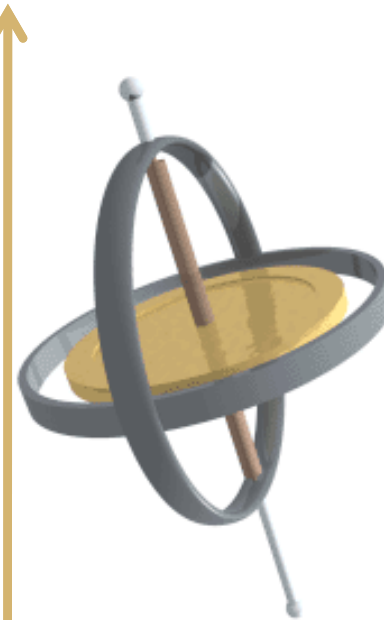
$$\omega_a = a_\mu \frac{eB}{mc}$$



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- $\omega_p$  is the proton precession frequency ( $\omega_p \sim |B|$ )
- $\varpi_p$  is the weighted magnetic field folded with muon distribution
- All other values from Committee on Data for Science and Technology (CODATA), uncertainty < 25 pb
  - E.g. muon-to-electron mass ratio by muonium hyperfine structure experiment

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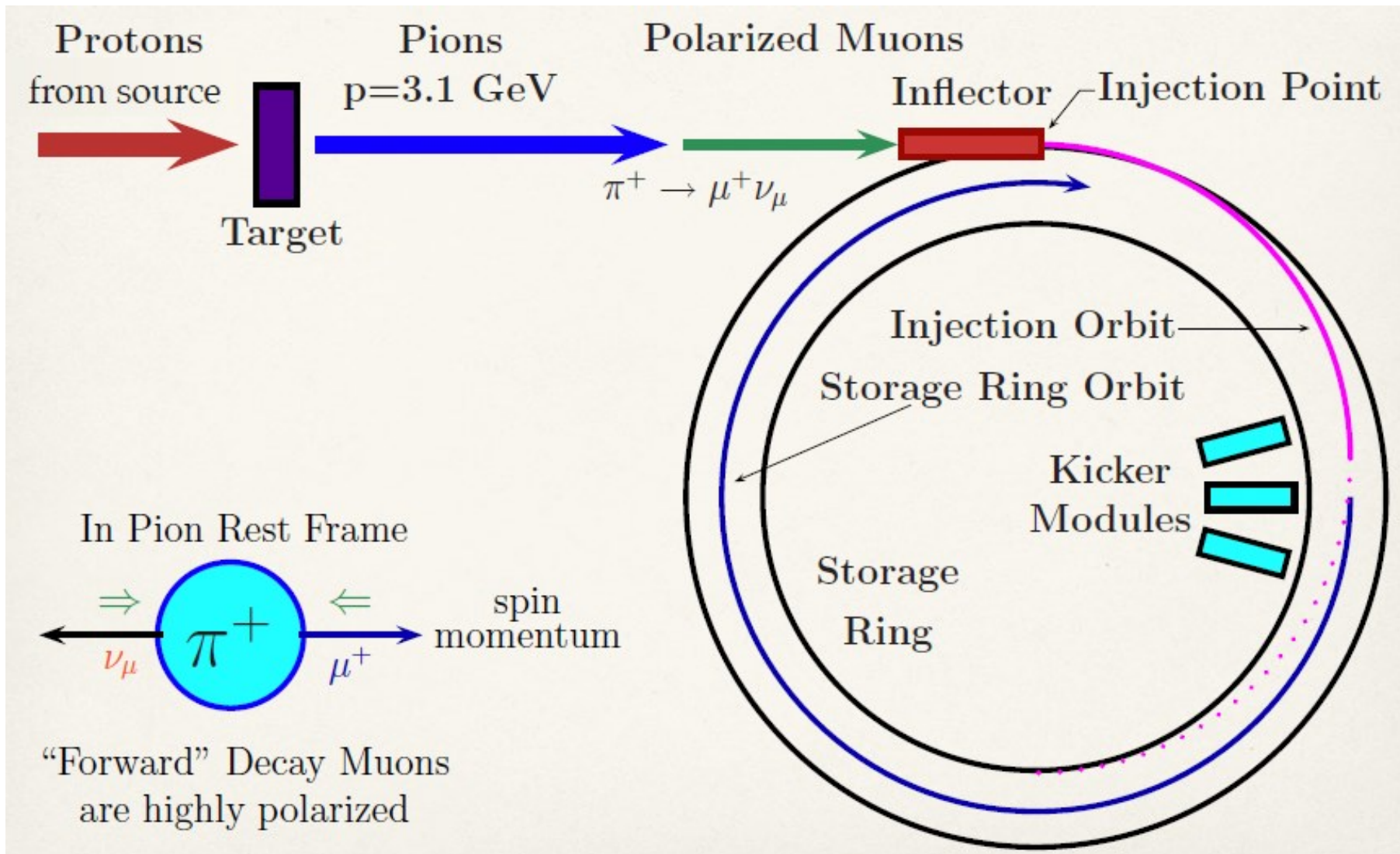
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  - E.g. muon-to-electron mass ratio by muonium hyperfine structure experiment
- **Final measurements done in three steps**
  - Inject muons into a ring with uniform magnetic field
  - Measure proton precession frequency  $\omega_p$
  - Measure muon frequency difference  $\omega_a$
  - The last two steps done simultaneously and independently (blind analyses)

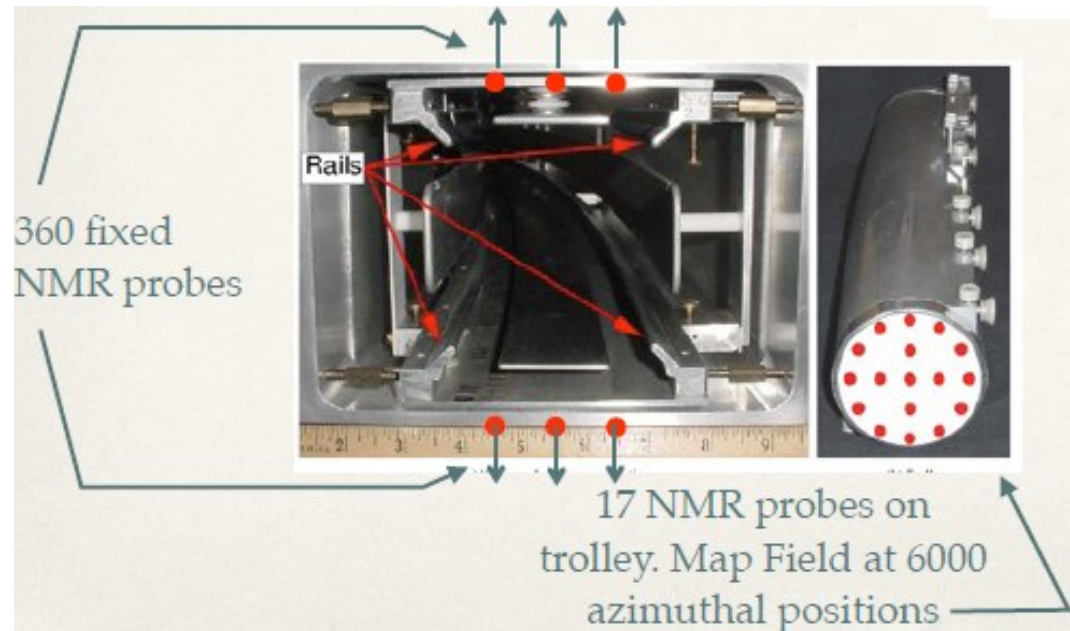
# Experiment setup





# Measuring $\omega_p$ , namely the B field

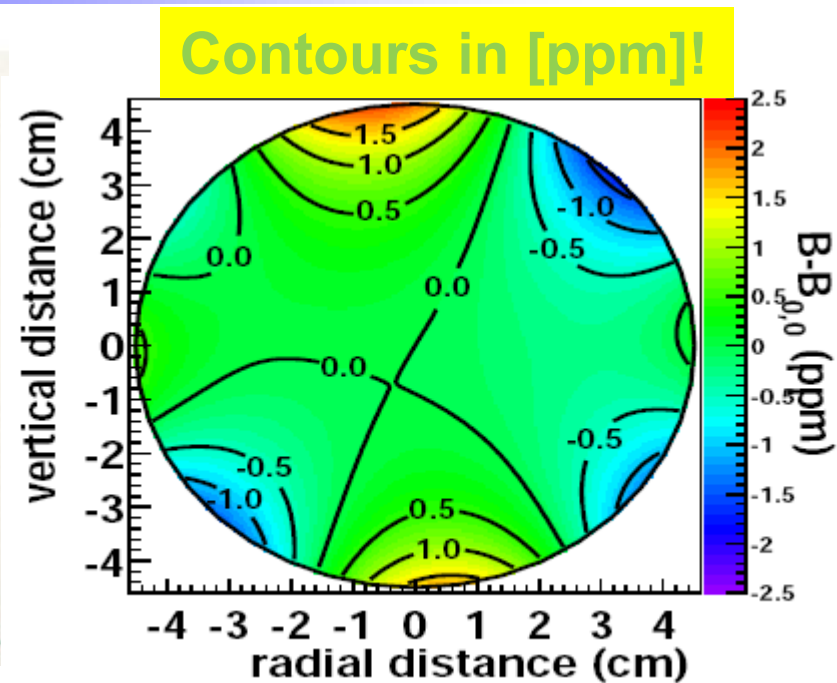
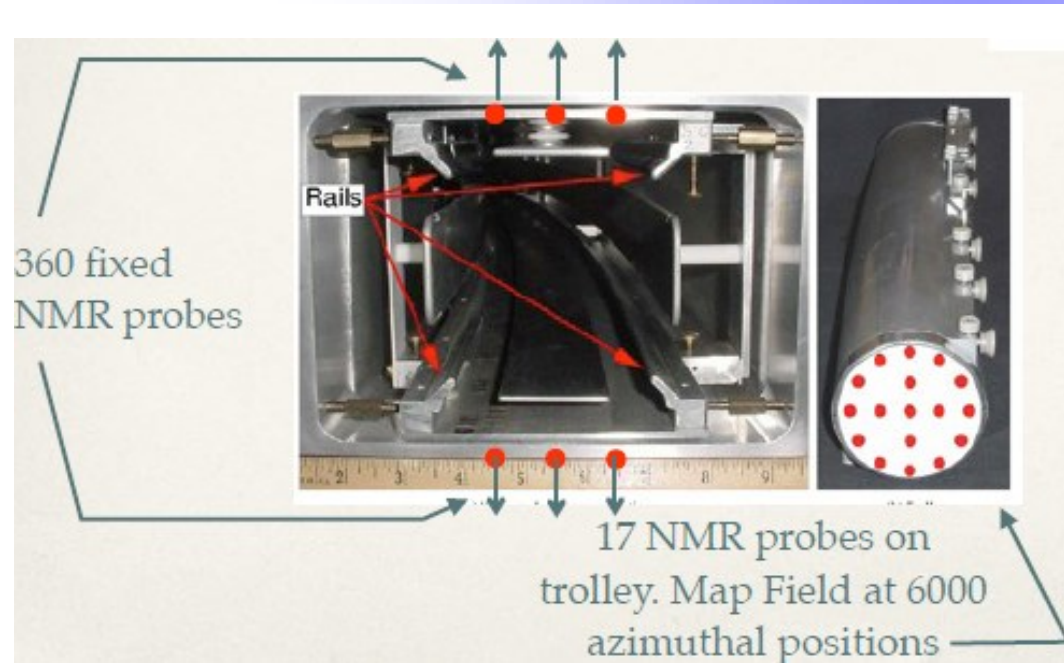
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**Use trolley and high precision ( $\sim 10$ ppb) nuclear magnetic resonance (NMR) probes**

- Monitoring the field and provide feedback to the storage ring power supply during data taking
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- Absolute and cross calibration of all probes
- Shimming techniques to better produce uniform B field

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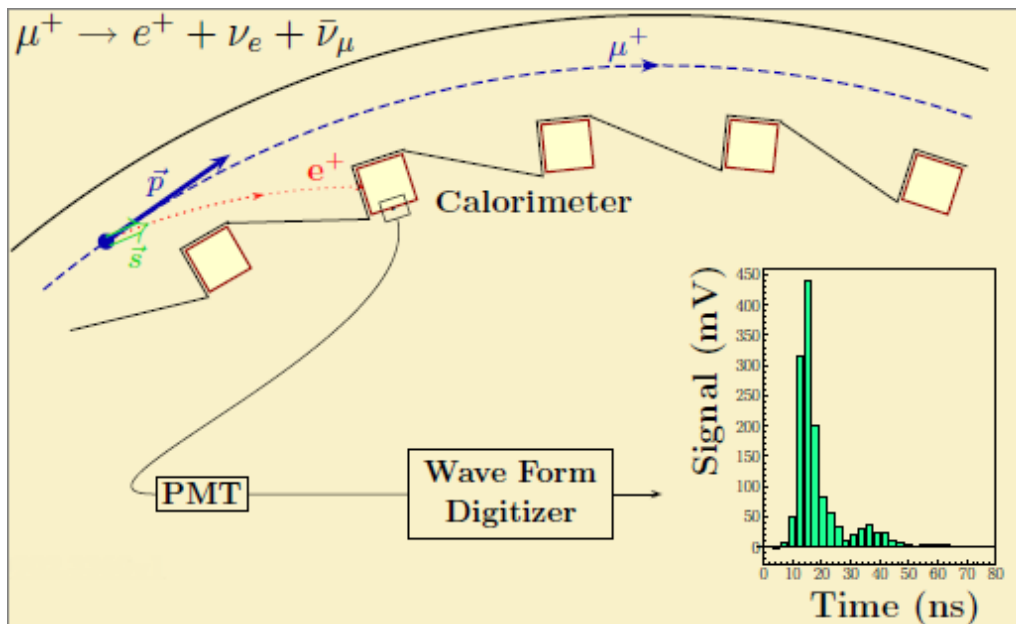


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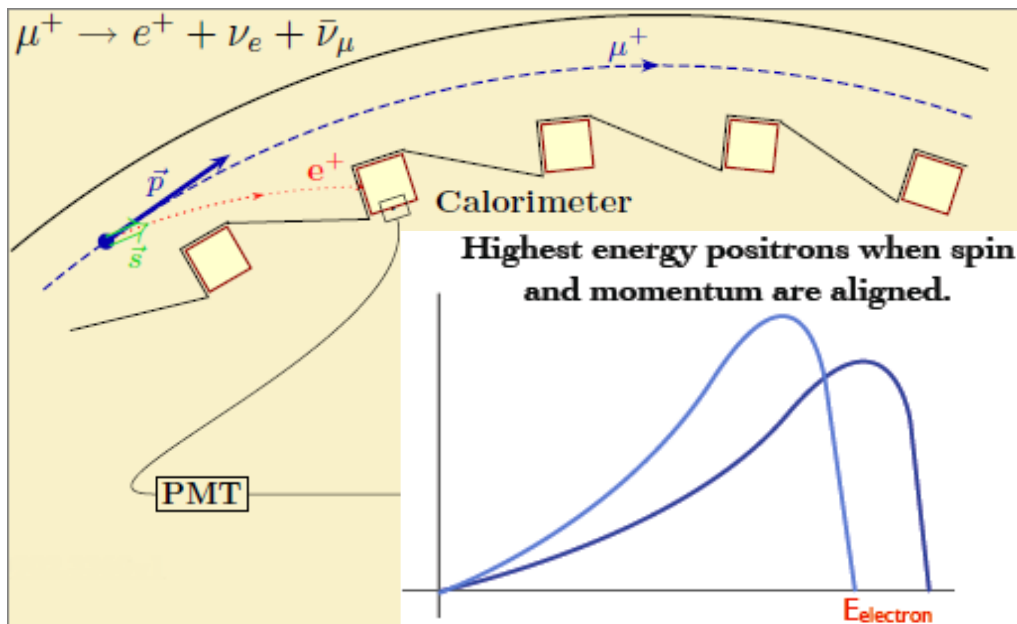
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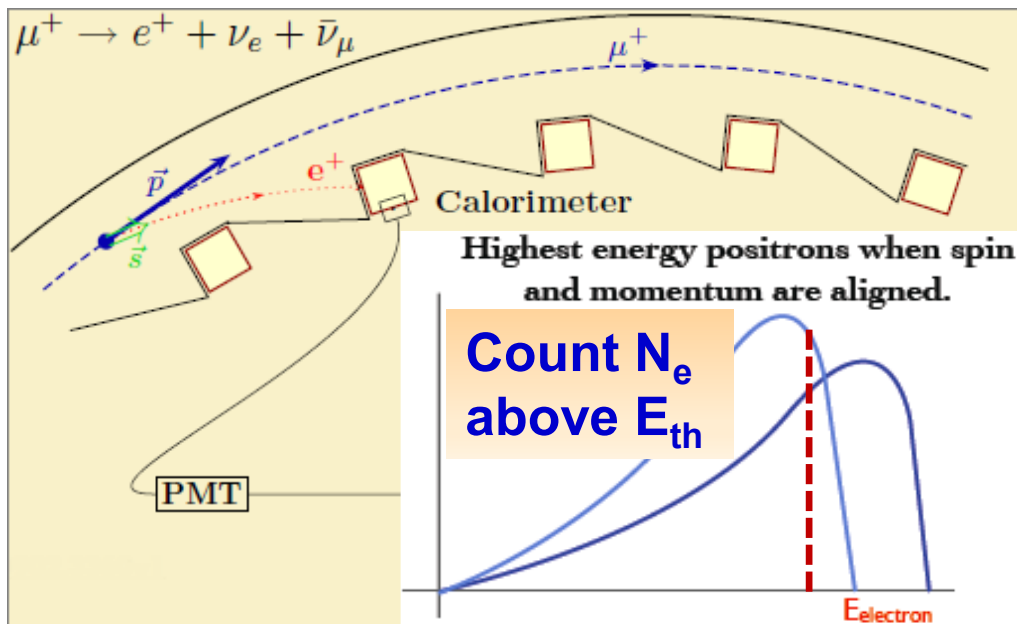
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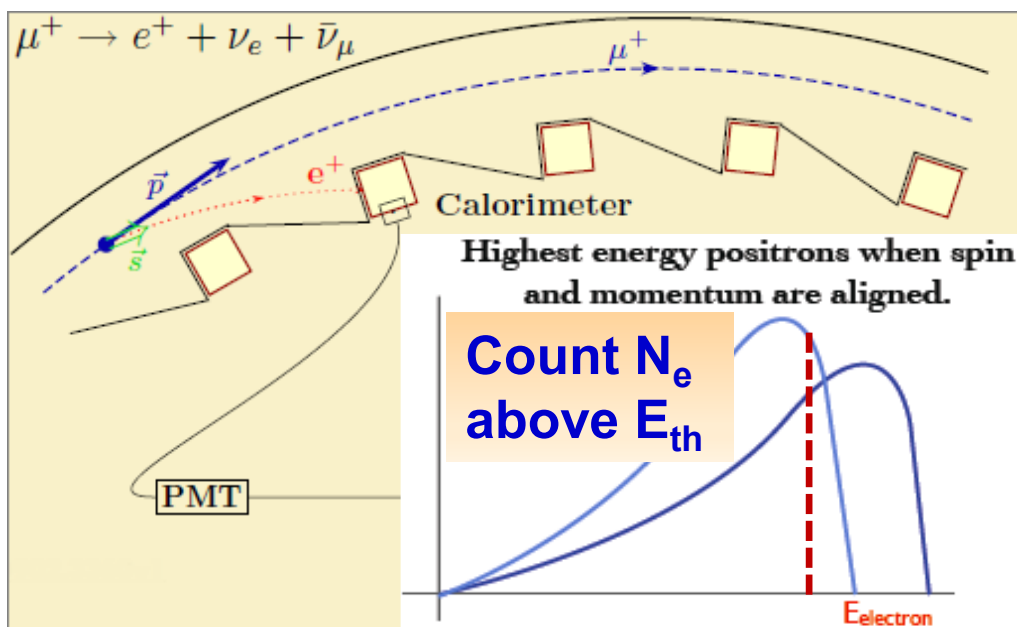


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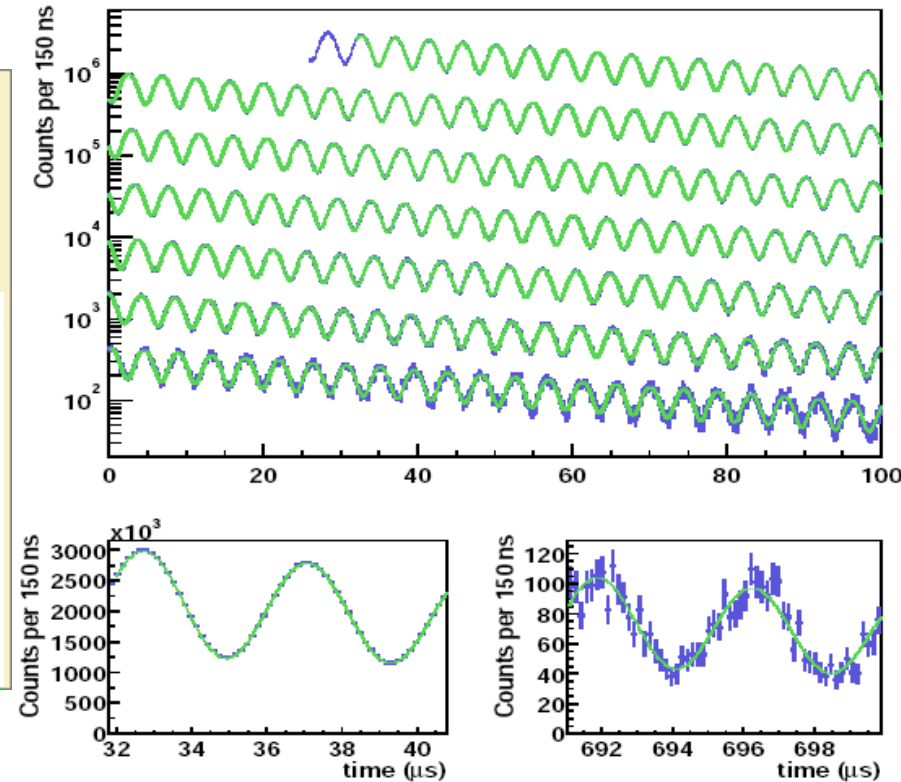
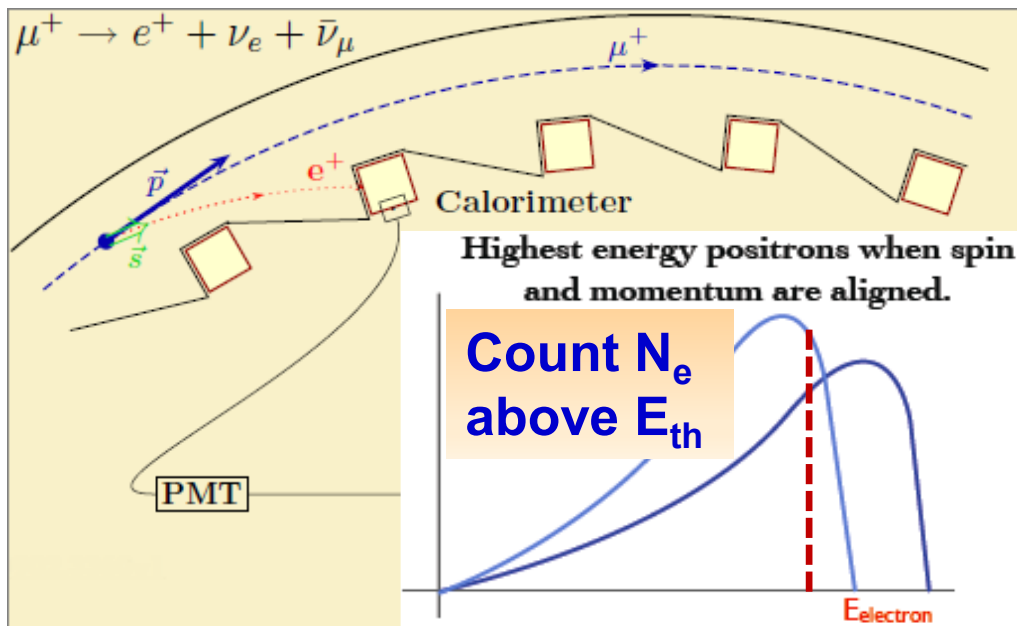


**The integrated number of electrons (above  $E_{\text{th}}$ ) modulated at  $\omega_a$**

- Angular distribution of decayed electrons correlated to muon spin
- Five parameter fit to extract  $\omega_a$

$$N_{\text{ideal}}(t) = N_0 \exp(-t/\gamma\tau_\mu)[1 - A \cos(\omega_a t + \phi)]$$

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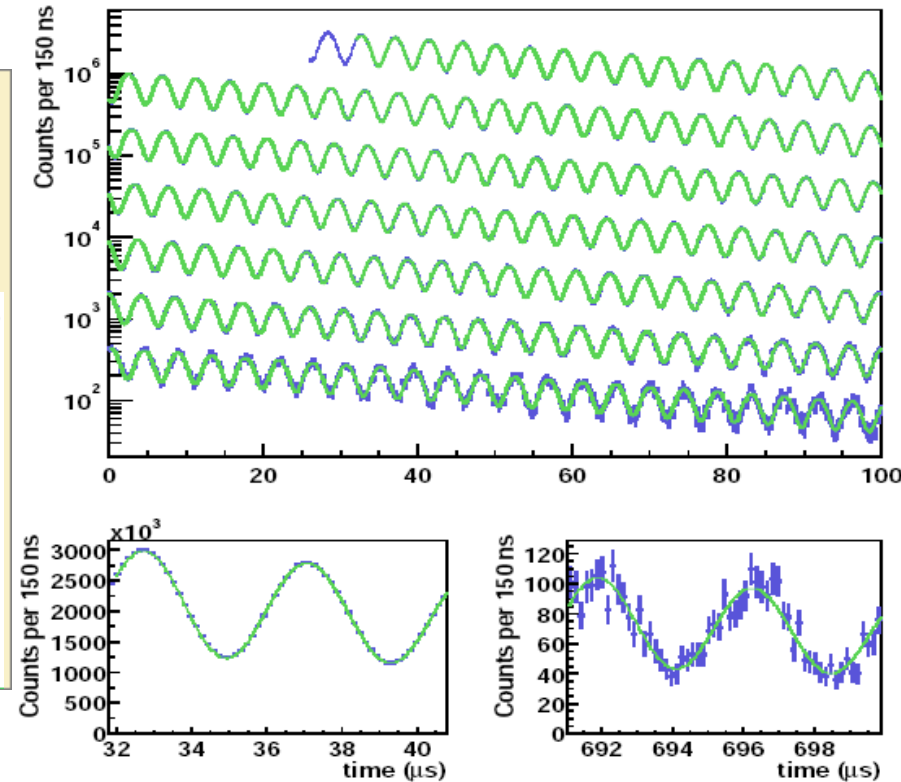
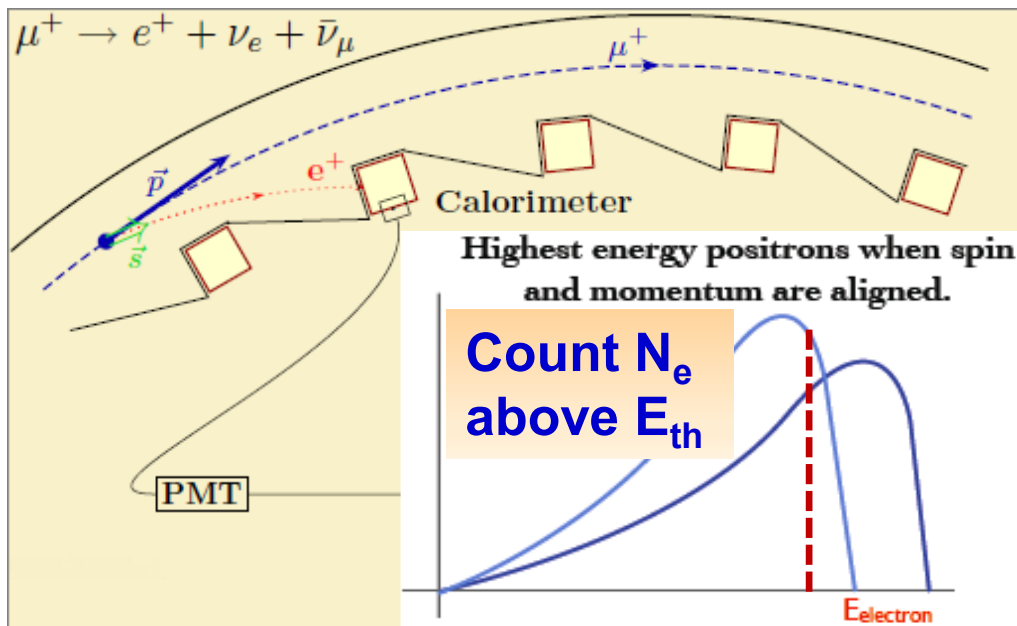


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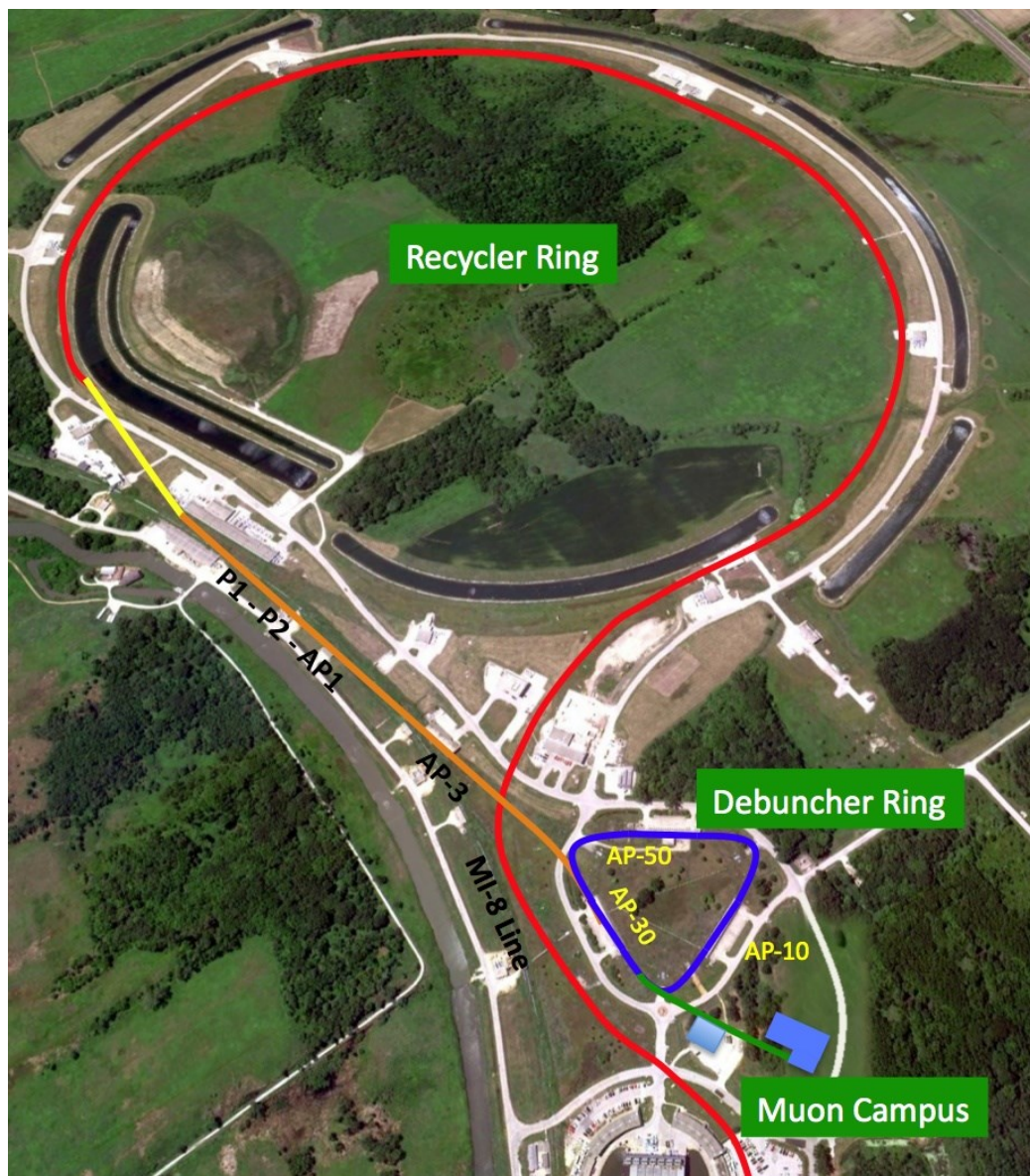
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- Pileup
- Gain (energy scale) changes
- Coherent Betatron Oscillations
- Muon Losses
- E-field and pitch corrections

# Fermilab Muon Campus



- Recycler
  - 8 GeV protons from Booster
  - Re-bunched in Recycler
  - New connection from Recycler to P1 line (existing connection is from Main Injector)
- Target station
  - Target
  - Focusing (lens)
  - Selection of magic momentum
- Beamlines / Delivery Ring
  - P1 to P2 to M1 line to target
  - Target to M2 to M3 to Delivery Ring
  - Proton removal
  - Extraction line (M4) to g-2 stub to ring in MC1 building



# Fermilab Muon Campus



# New Home at Fermilab

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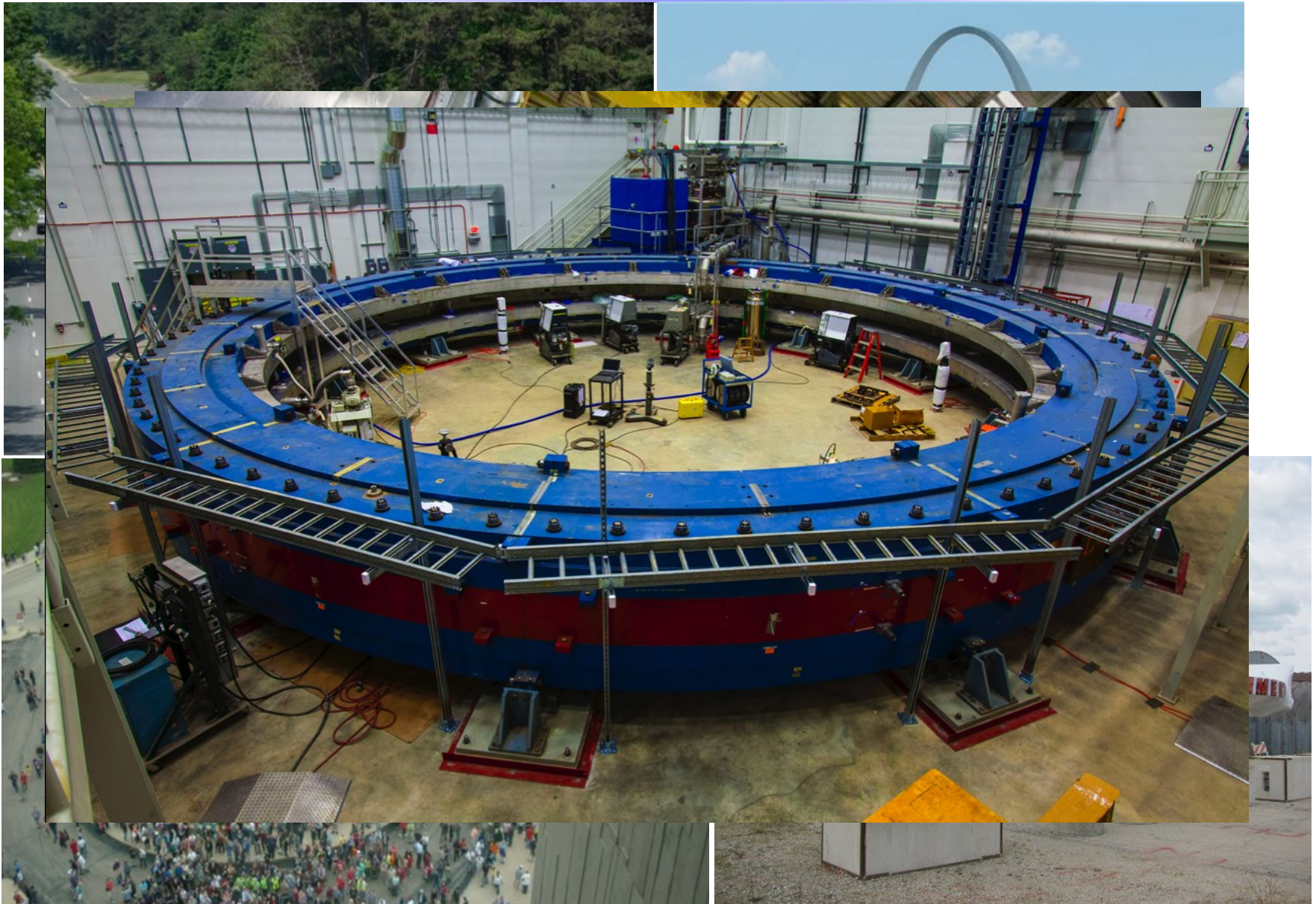


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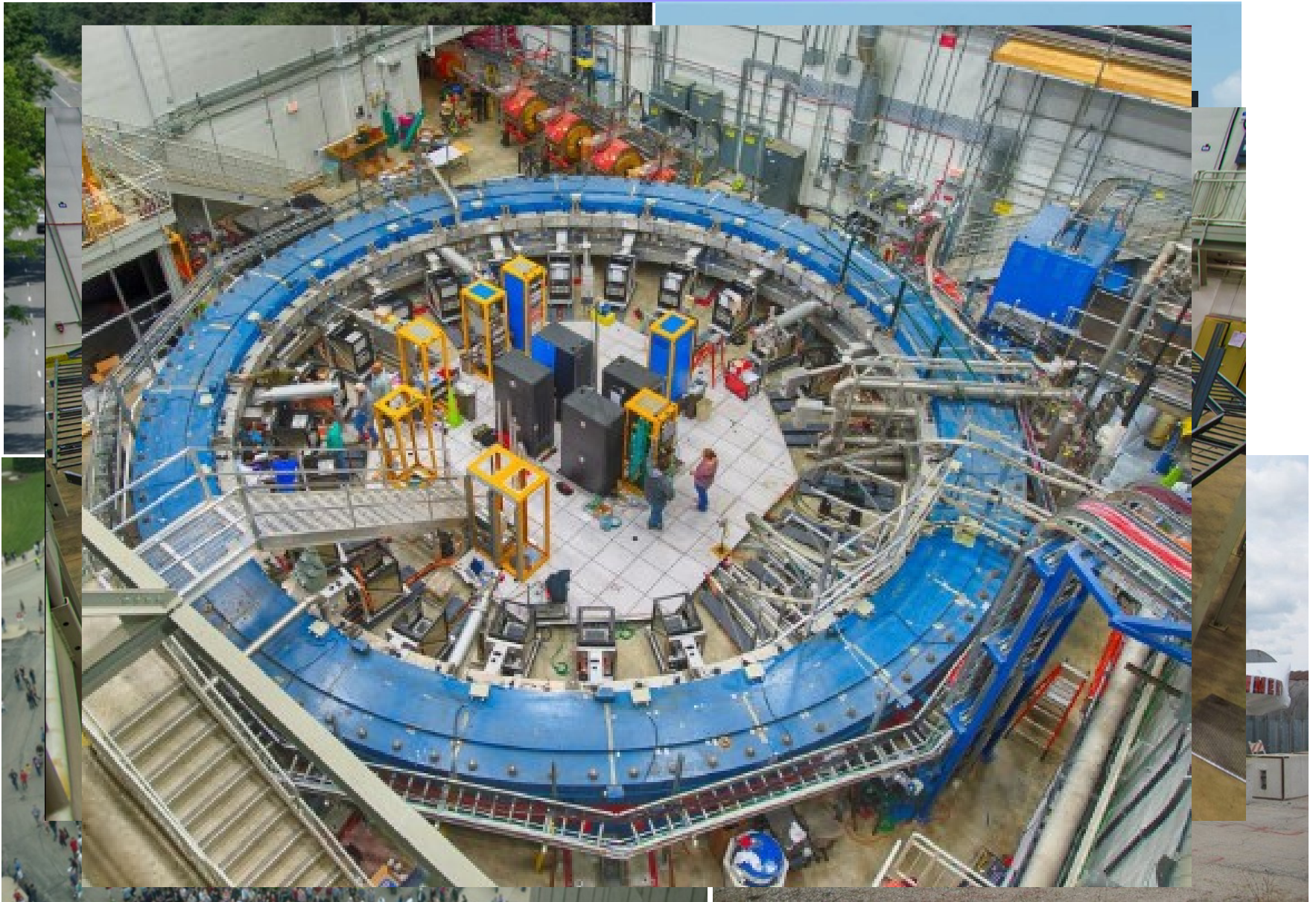




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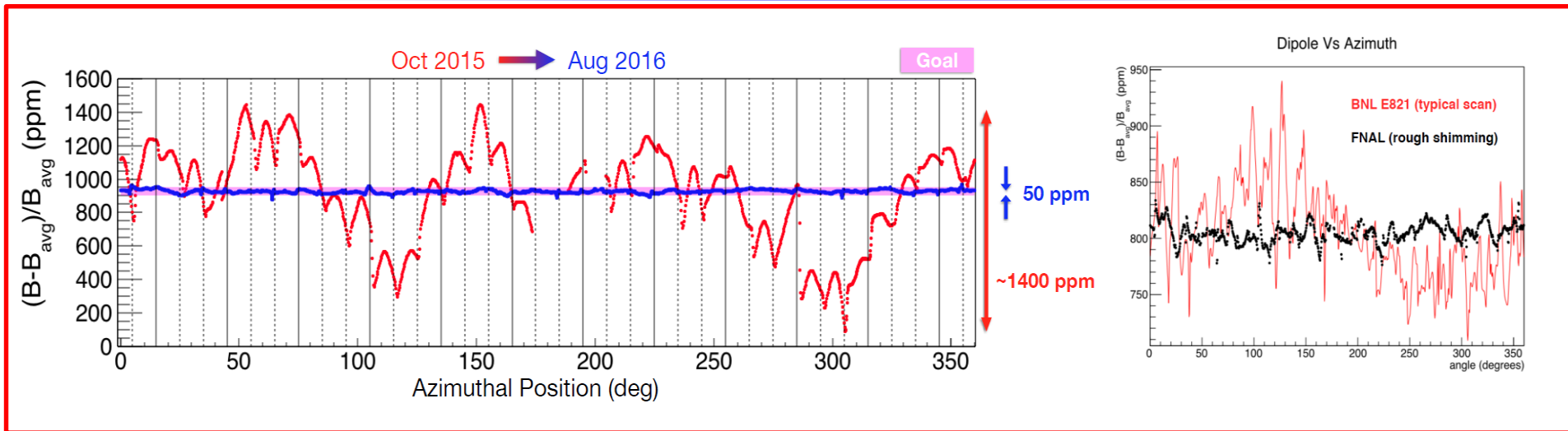
# New Home at Fermilab



# B Field Measurements

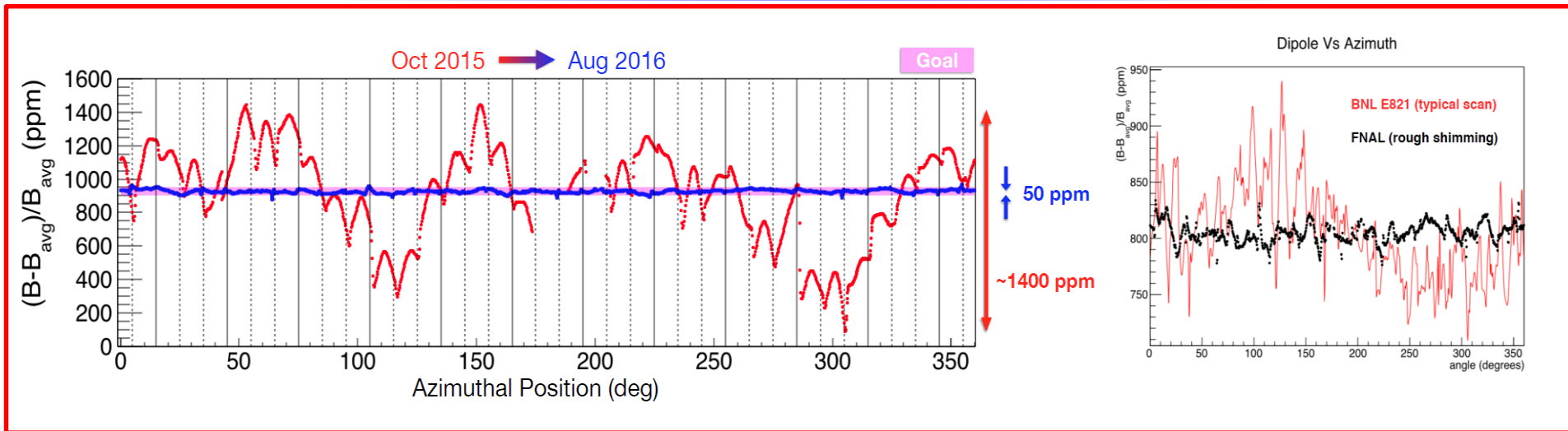


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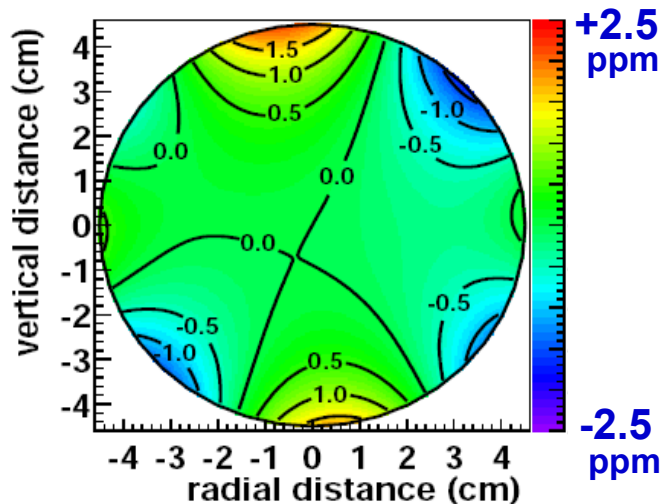
**Shim 1.45 T field to high uniformity and measure it vs time**

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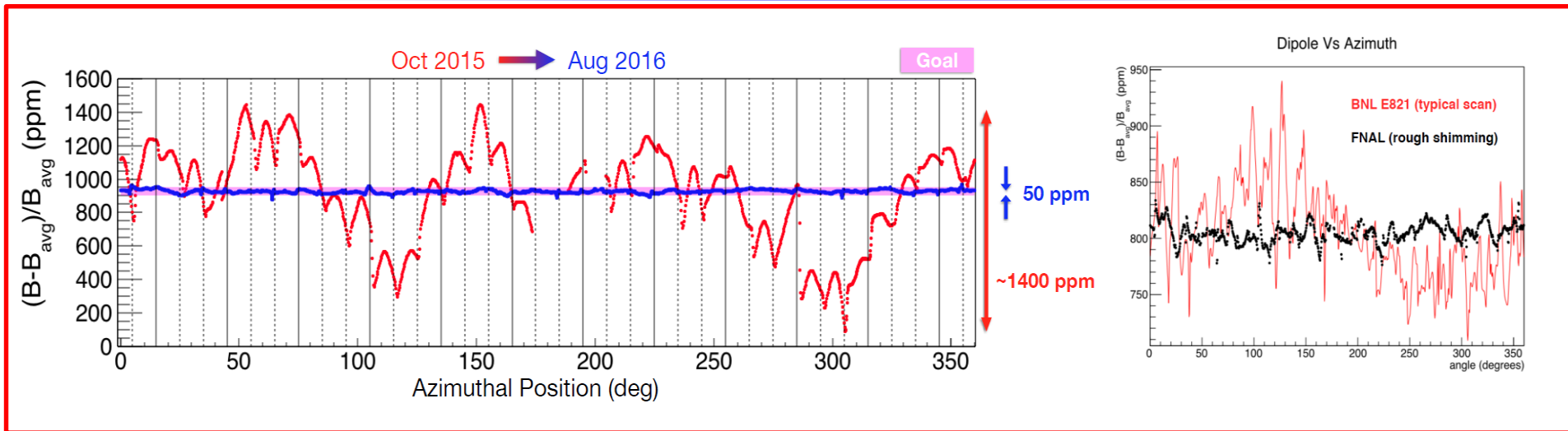
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## BNL Field Map



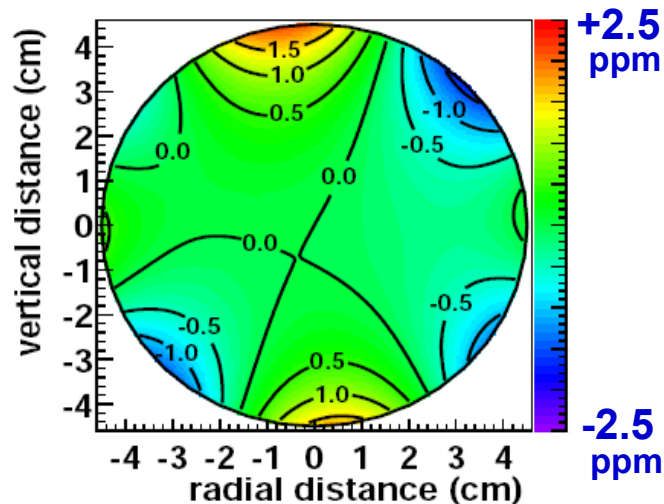


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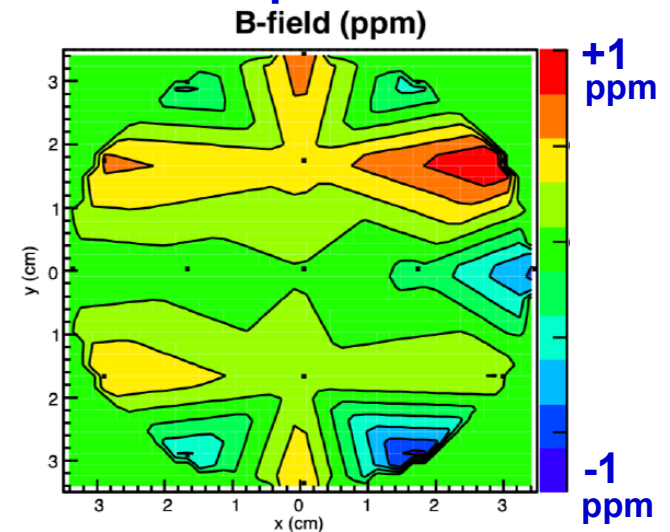
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BNL Field Map



Averaged over azimuth:  
Shimmed to  $\pm 1$  ppm level

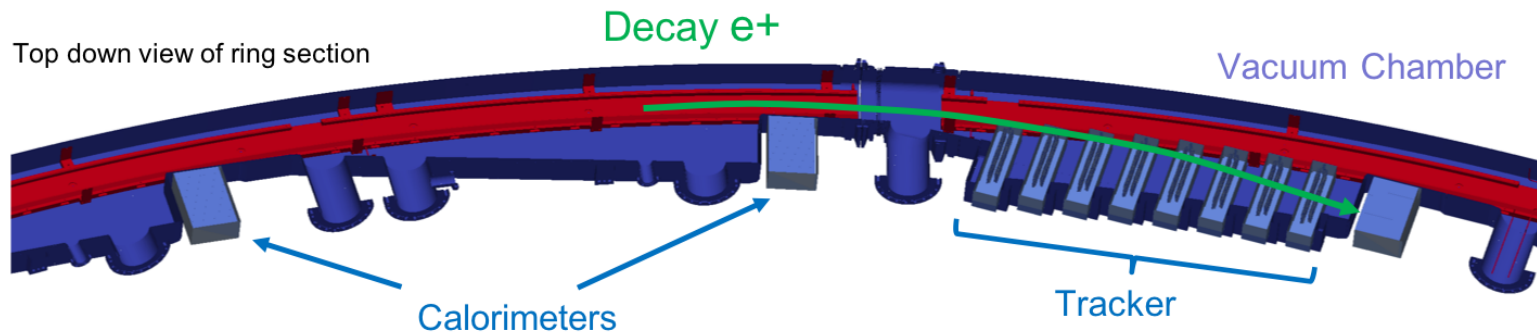
Field Map on 03/17/2018



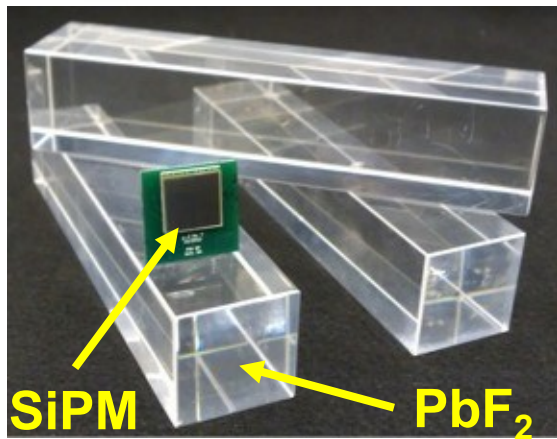
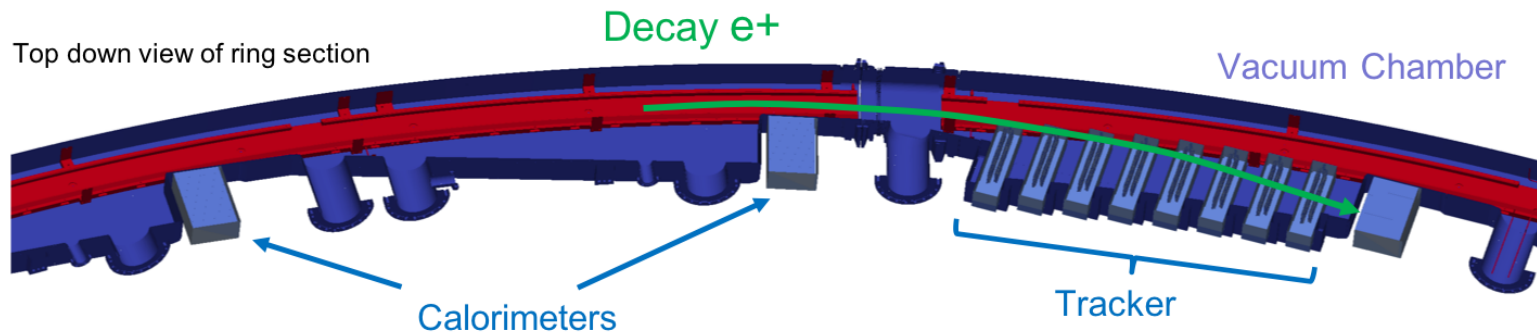
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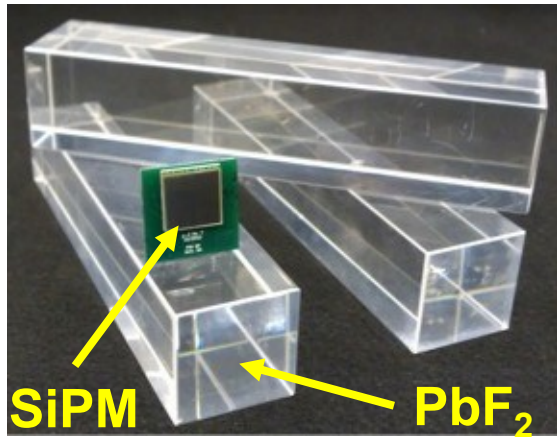
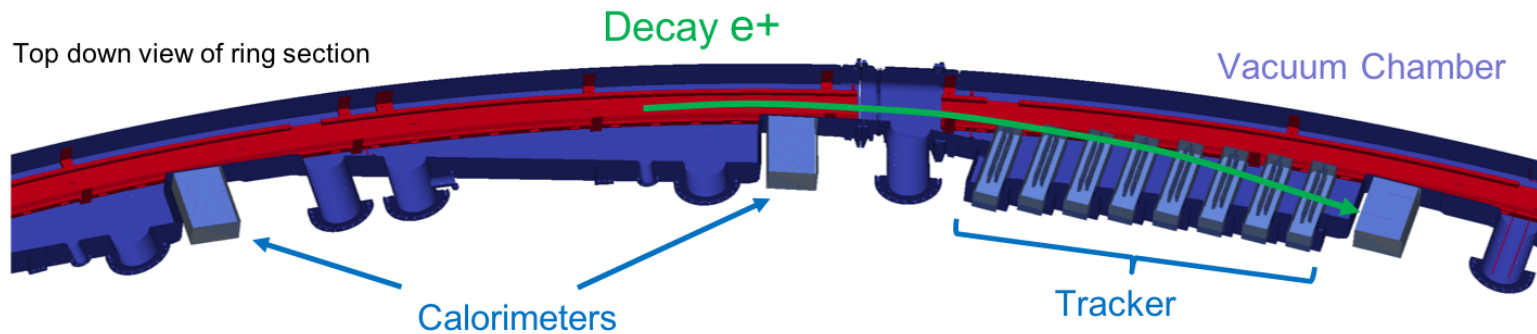


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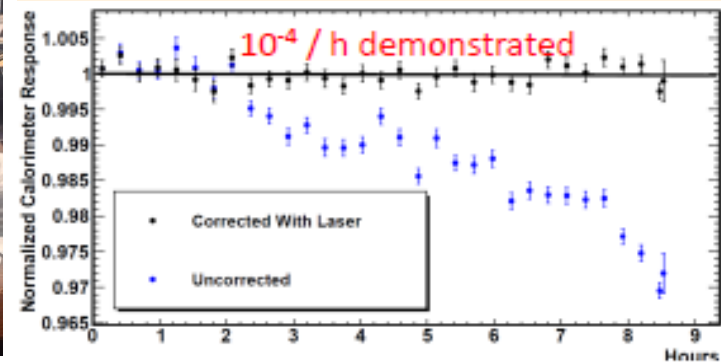


**Segmented, fast response, crystal calorimeter (9X6 array)**

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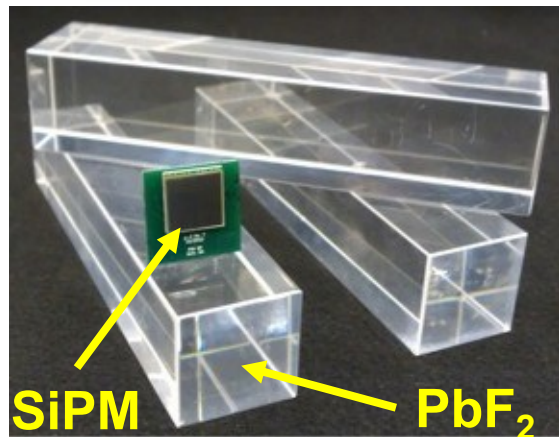
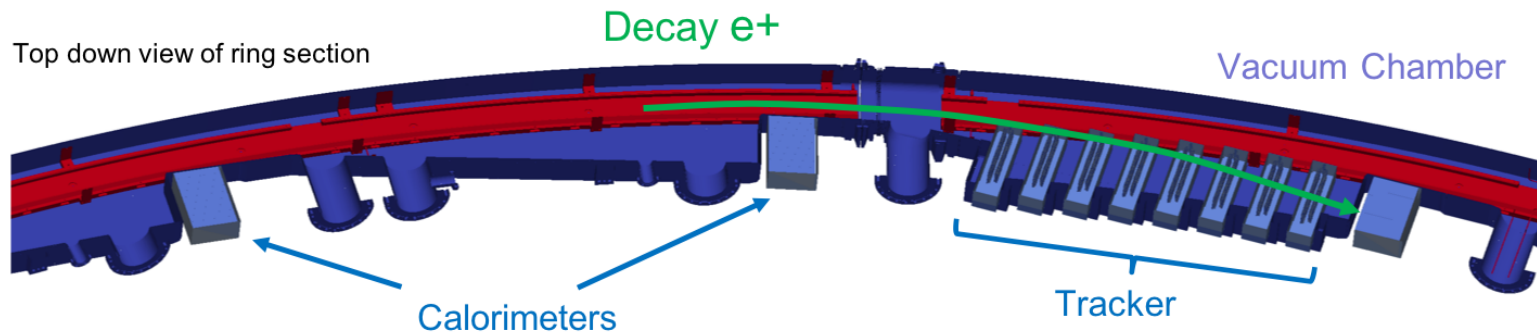


SLAC Test beam: 2013, 2014, 2016

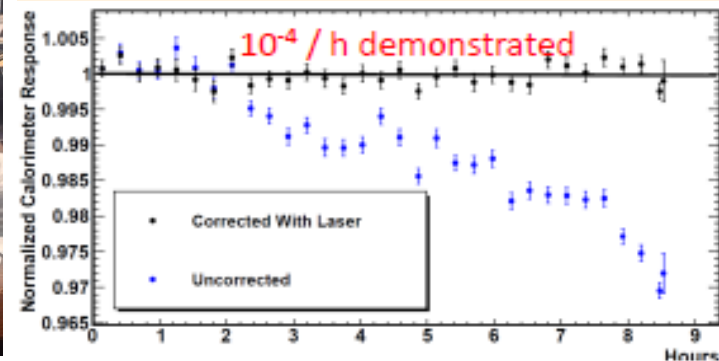


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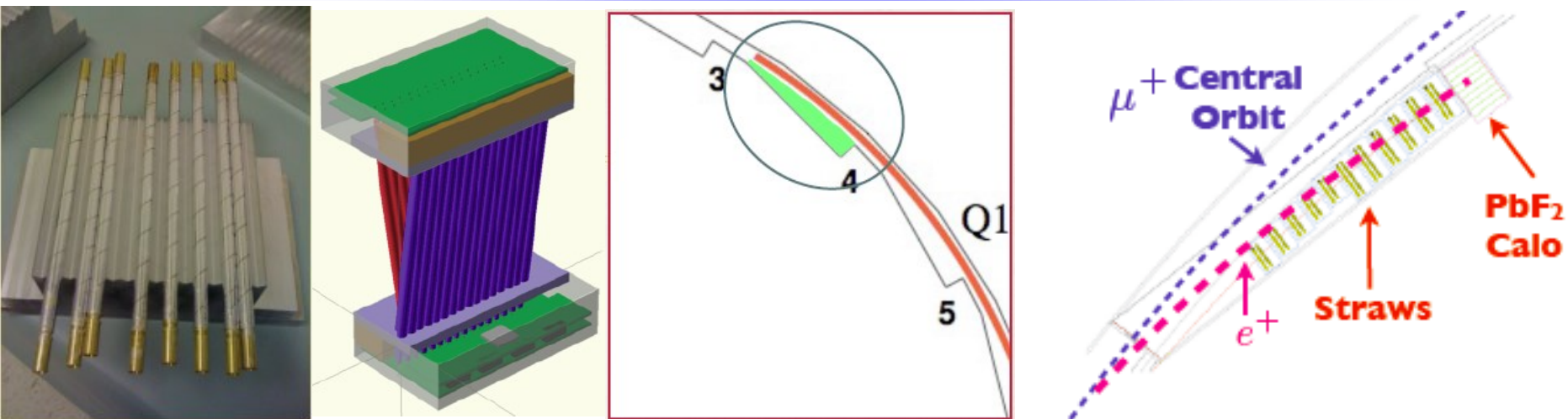
## Segmented, fast response, crystal calorimeter (9X6 array)

- Lead-fluoride Cherenkov crystal (PbF<sub>2</sub>) can reduce pileup
  - Resolution (2.3% at 3 GeV) better than requirement (5%)
- Silicon photomultiplier (SiPM) directly on back of PbF<sub>2</sub>
  - No disturbing magnetic field, avoid long light guides

# Detector performance: tracker

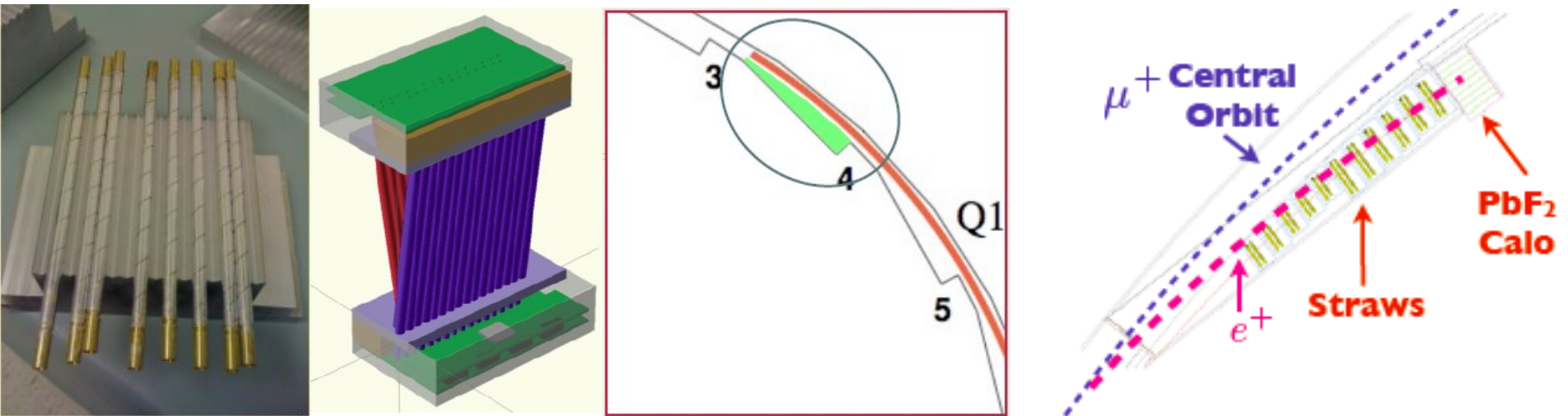


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Doublet of UV straw chambers

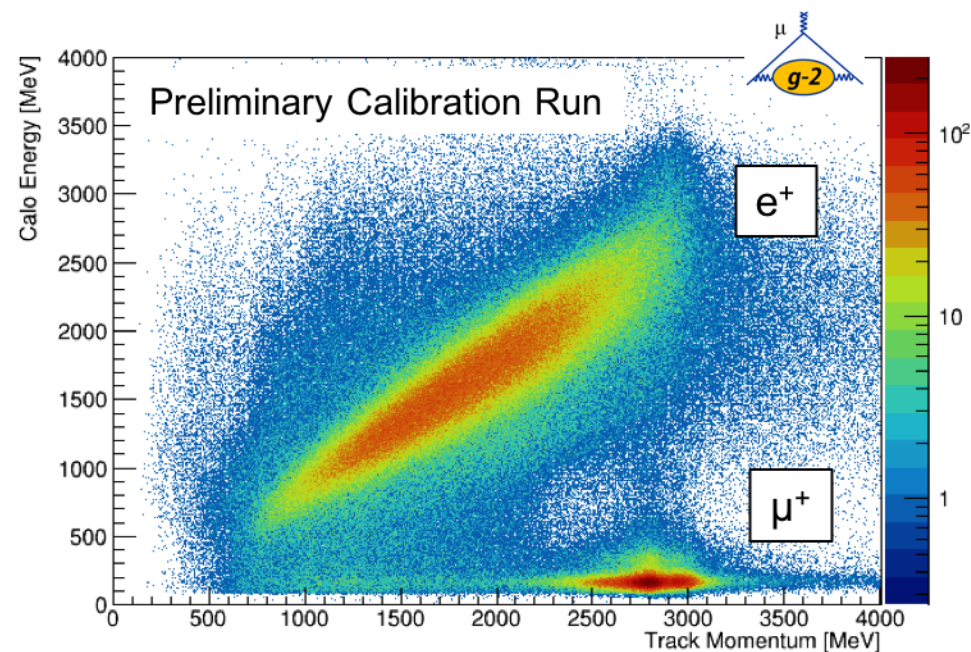
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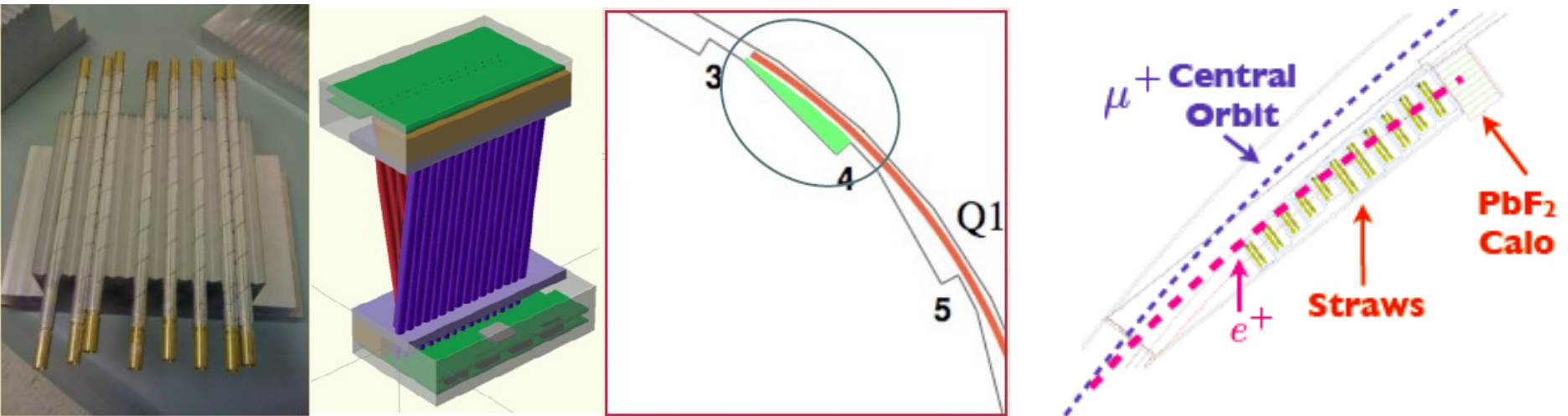
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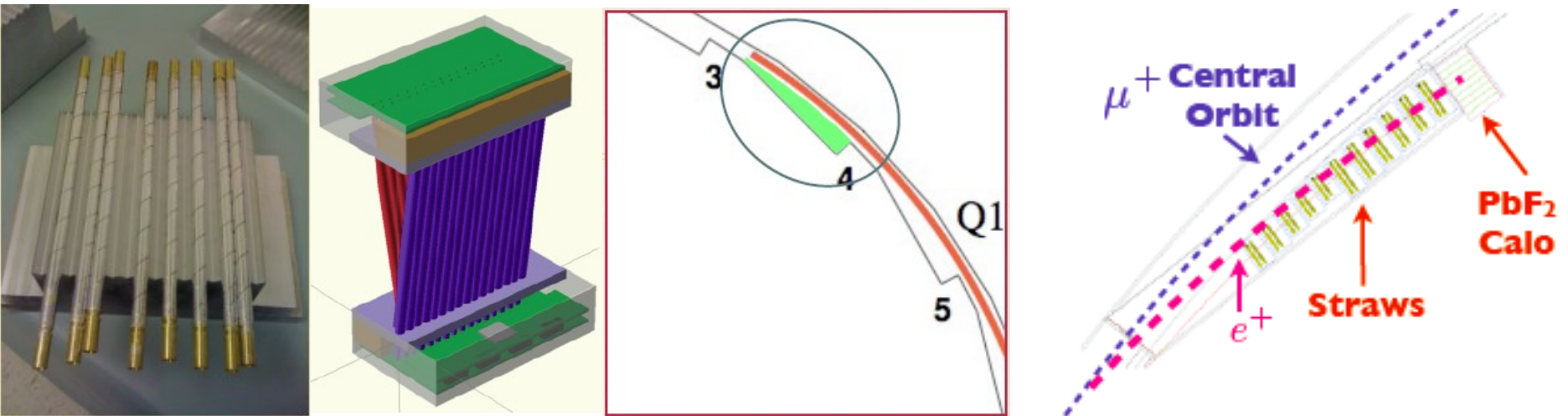


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- Calibrate beam dynamics, better control of systematics
- Better measurement of the pileup (multiple positrons)

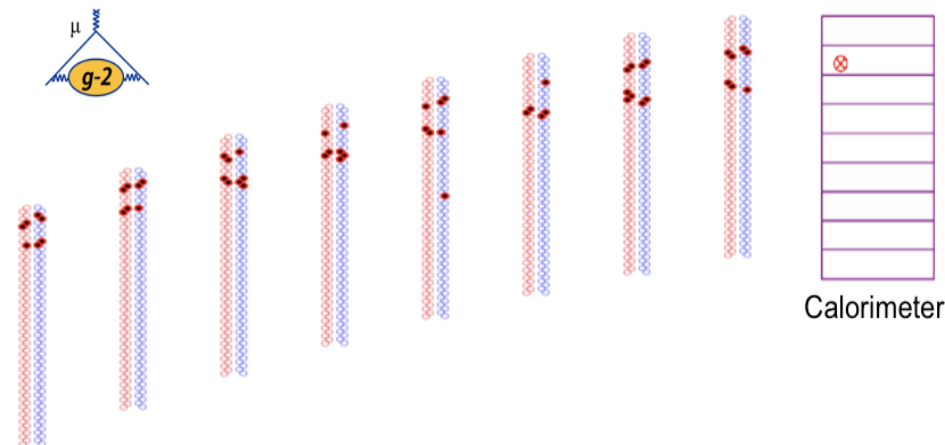
# Detector performance: tracker



Doublet of UV straw chambers

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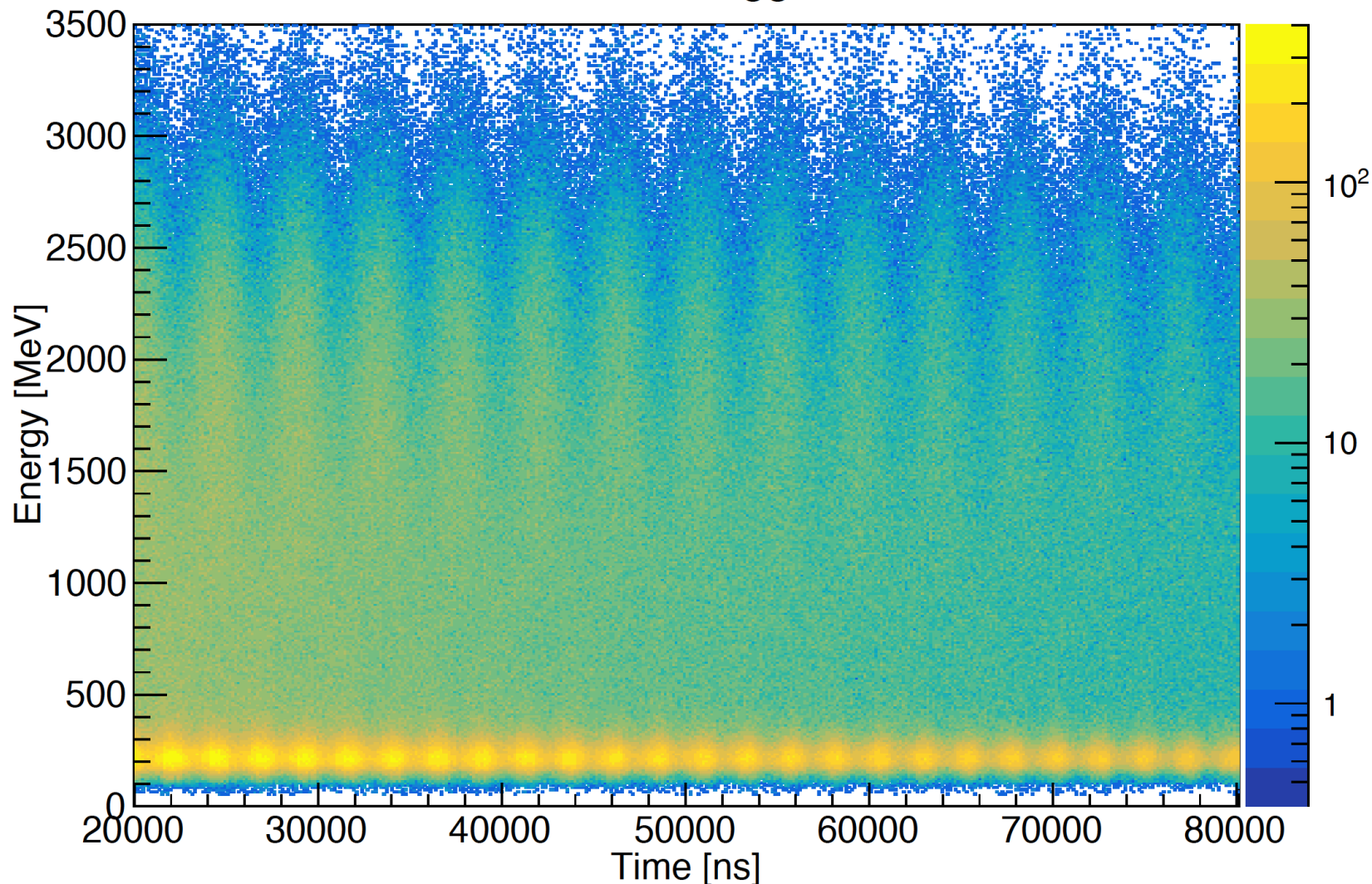


# Wiggle, Wiggle, Wiggle...



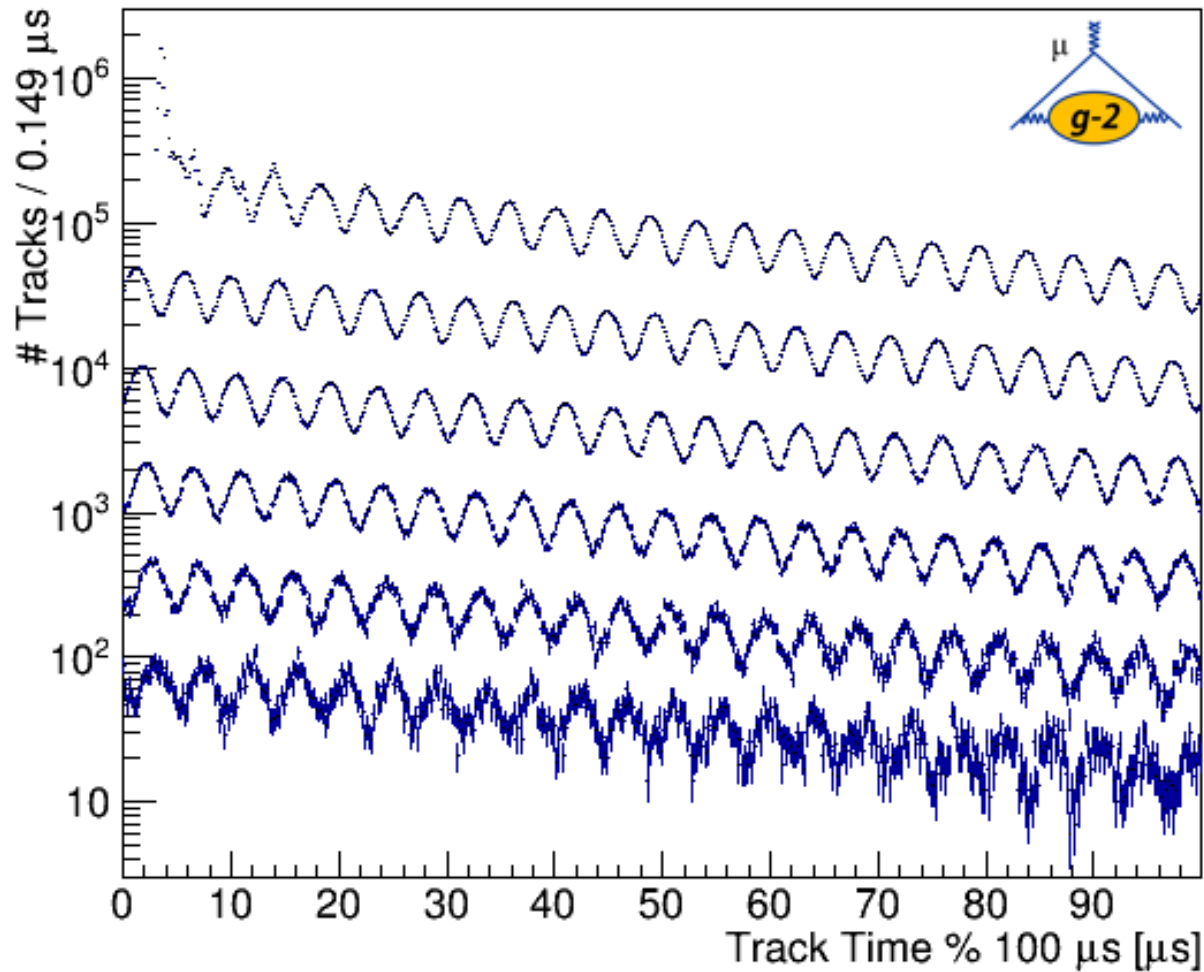
# Wiggle, Wiggle, Wiggle...

2D Wiggle



**Energy vs. Time seen by calorimeters**

# Wiggle, Wiggle, Wiggle...



**Track vs. Time seen by trackers  
(momentum greater than 1.8 GeV)**

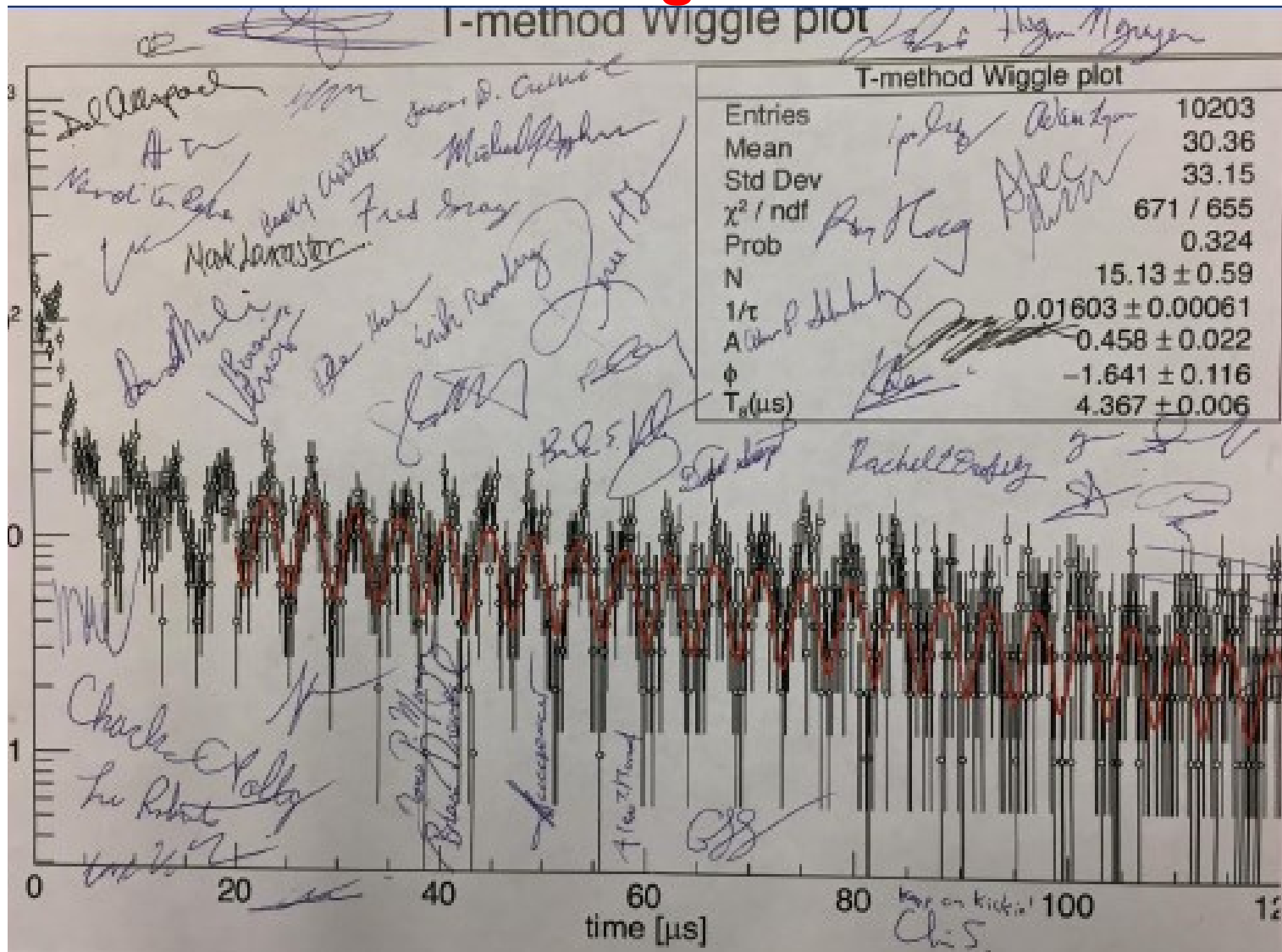
# Wiggle, Wiggle, Wiggle...



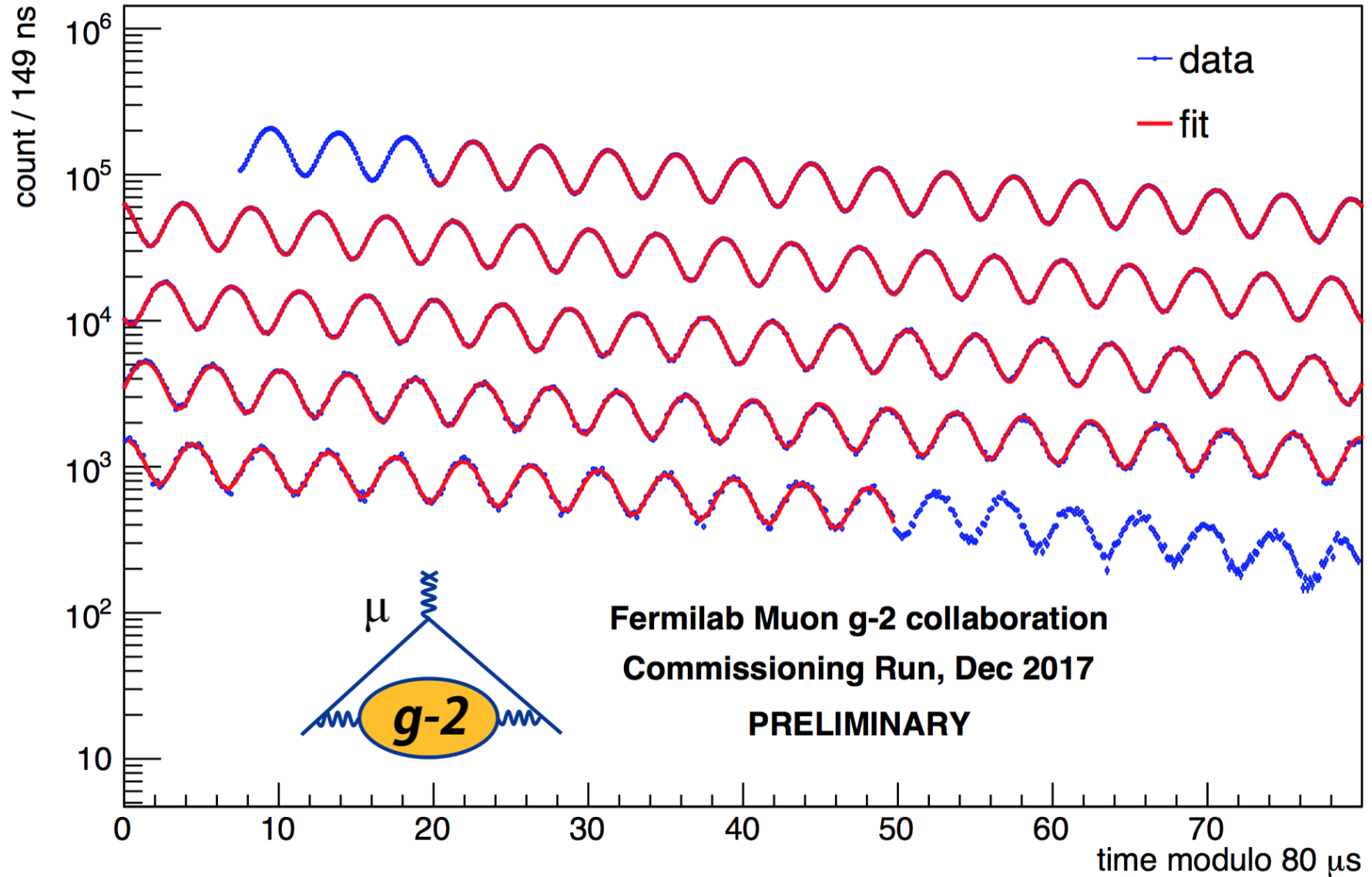
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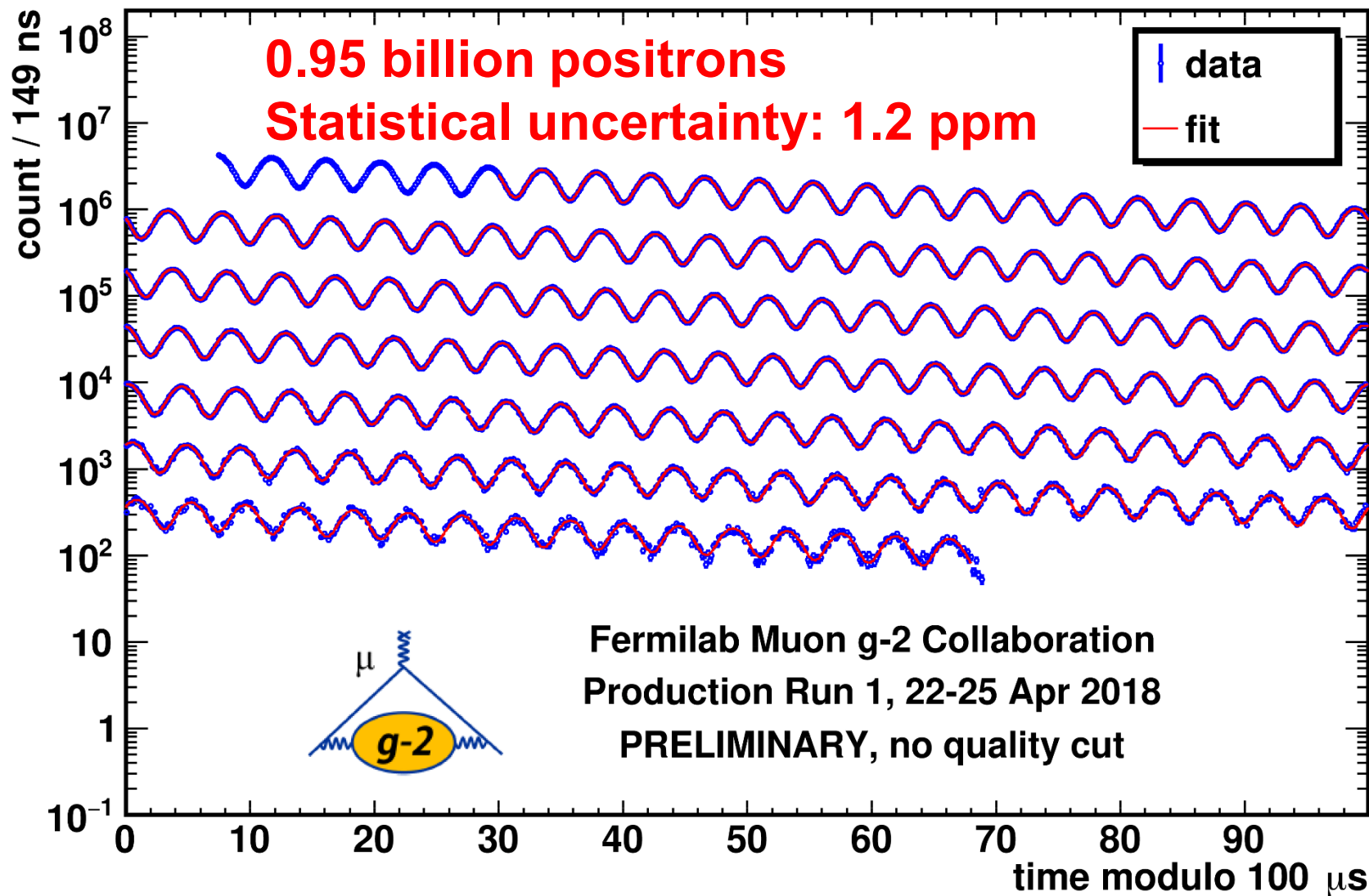
First commissioning run: June 2017



# Wiggle, Wiggle, Wiggle...



# Wiggle, Wiggle, Wiggle...



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  - High precision measurements and high order calculations



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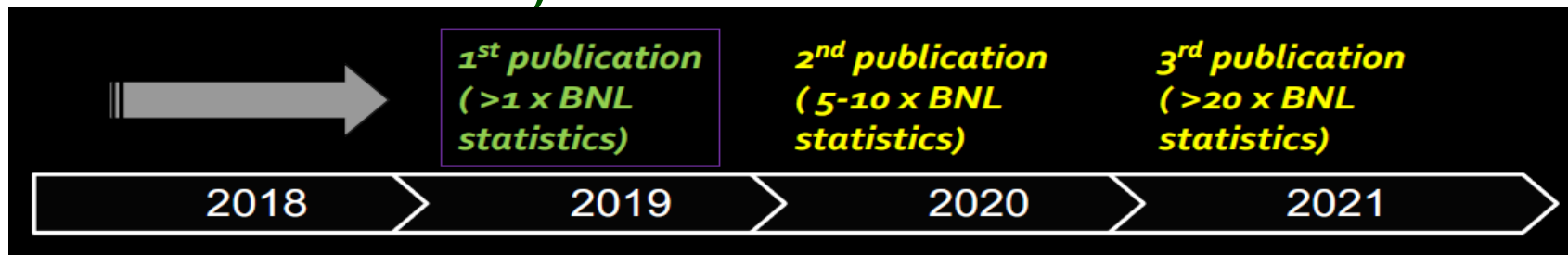
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# Backup

# E821(BNL) vs. E989(Fermilab)

**E821 (BNL) :  $a_{\mu}^{\text{exp}} = 116\,592\,089\,(63) \times 10^{-11}$**   
**Uncertainty: 0.46 ppm stat., 0.28 ppm syst.**

**Goal: reduce experimental uncertainty by a factor of 4**

- 21 times more statistics: powerful Fermilab particle source
  - $\delta_{\text{stat}} = 0.46 \text{ ppm} \rightarrow 0.1 \text{ ppm}$
- New segmented calorimeters, straw wire tracker, fast muon kicker...
  - $\delta\omega_a = 0.21 \text{ ppm} \rightarrow 0.07 \text{ ppm}$
- Long shimming period, magnet temperature stability, more/better in-situ calibrations, more probes, modern instrumentation...
  - $\delta_{\langle B \rangle}(\omega_p) = 0.17 \text{ ppm} \rightarrow 0.07 \text{ ppm}$

**E989 (Fermilab) experimental uncertainty:**  
 **$0.14 \text{ ppm} \sim 16 \times 10^{-11}$**   
 **$> 5\sigma$  deviation with the same central value**

# Theory calculation

$$a_{\mu}^{SM} = a_{\mu}^{QED} + a_{\mu}^{had} + a_{\mu}^{EW}$$

	Contribution	Result in $10^{-11}$ units
$a_{\mu}^{QED}$	QED (leptons)	$116\,584\,718.09 \pm 0.15$
$a_{\mu}^{Had}$	HVP(lo)[e+e-]	$6\,923 \pm 42$
	HVP(ho)	$-98.4 \pm 0.7$
	HLbyL	$105 \pm 26$
$a_{\mu}^{EW}$	EW	$153 \pm 1$
	Total	$116\,591\,801 \pm 49$

## Dominating theoretical uncertainties are hadronic components

- Most from low energy non-perturbative QCD regime
- The hadronic vacuum polarization (HVP) is related to the cross section for hadron production  $e^+e^- \rightarrow \text{hadrons}$
- The hadronic light by light (HLbL) is model specific (cannot be determined from data directly), much less known (25% error)
- Lattice QCD is starting to get involved, no big “shift” seen in early results compared to models: potential to improve in systematics

# $\omega_a$ Systematics

Category	E821 [ppb]	E989 Improvement Plans	E989 [ppb]	
Gain changes	120	<ul style="list-style-type: none"> <li>Better laser calibration</li> <li>Low-energy threshold</li> </ul>	20	Detector Team
Pileup	80	<ul style="list-style-type: none"> <li>Recording low-energy samples</li> <li>Segmented Calorimeters</li> </ul>	40	
Lost muons	90	<ul style="list-style-type: none"> <li>Better collimation in ring</li> </ul>	20	Ring Team
CBO	70	<ul style="list-style-type: none"> <li>Higher n value</li> <li>Better match of beamline to ring</li> </ul>	< 30	
E and pitch corrections	50	<ul style="list-style-type: none"> <li>Improved tracker</li> <li>High precision storage ring simulation</li> </ul>	30	Detector Team
Total	180	Quadrature Sum for $\delta\omega_a$ (syst.)	70	

**Systematics error < 70 ppb: x 3 improvement !**

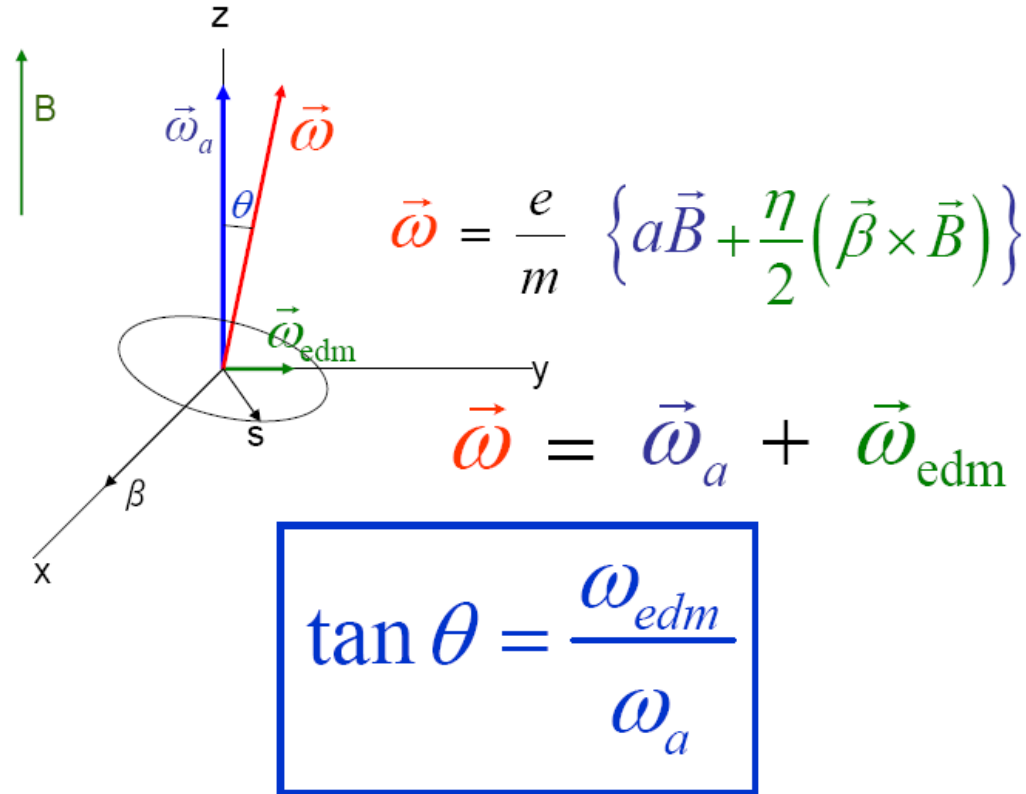
# $\omega_p$ Systematics

Category	E821 (ppb)	E989 (ppb)	Methods
Absolute probe calibration	50	35	More uniform field for calibration
Trolley probe calibration	90	30	Better alignment between trolley and the plunging probe
Trolley measurement	50	30	More uniform field, less position uncertainty
Fixed probe interpolation	70	30	More stable temperature
Muon distribution	30	10	More uniform field, better understanding of muon distribution
Time dependent external magnetic field	-	5	Direct measurement of external field, active feedback
Others*	100	30	More uniform field, trolley temperature monitor, etc
total	170	70	

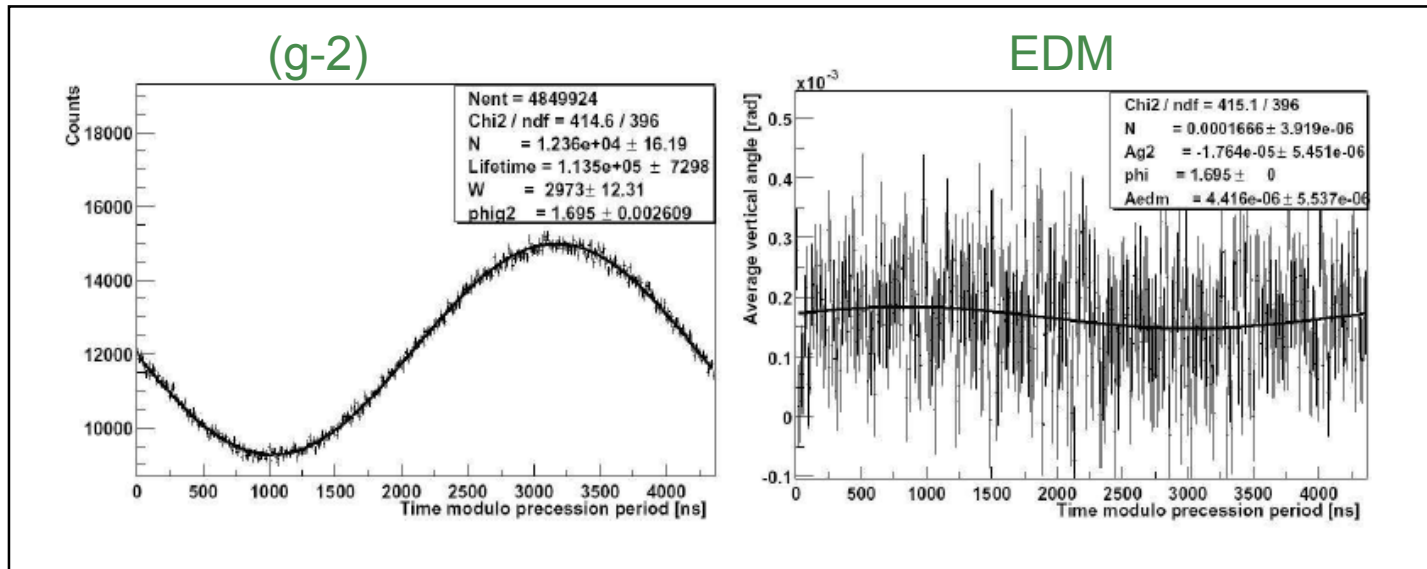
**Systematics error < 70 ppb: x 2 improvement !**



# Muon EDM



# Muon EDM

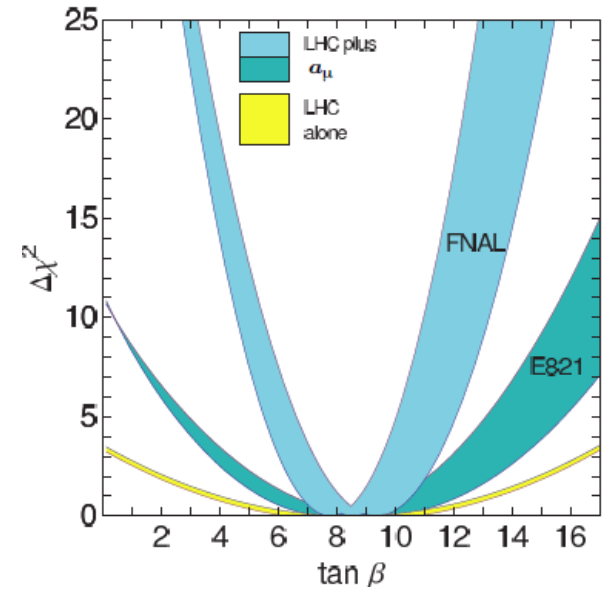
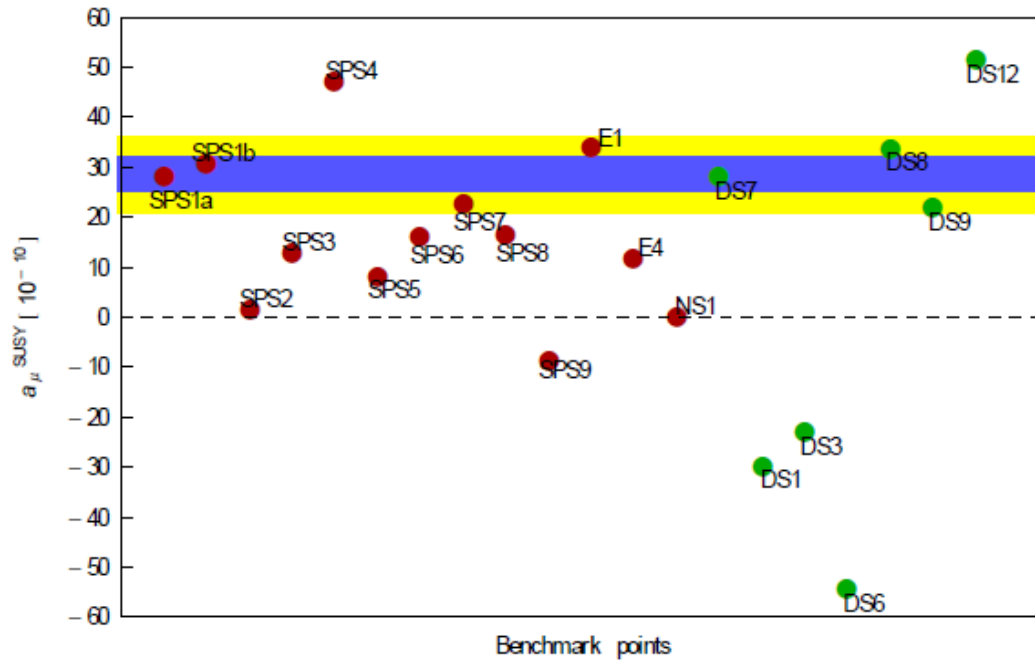


**(g-2) signal:** # Tracks vs time, modulo g-2 period, in phase.

**EDM Signal:** Average vertical angle modulo g-2 period. Out-of-phase by  $90^\circ$  from g-2; this is the EDM signal

from E821  $d_\mu < 1.8 \times 10^{-19} \text{ e cm} \rightarrow \sim \text{few } 10^{-21}$

# New Physics?



**SUSY?**

- Strong discriminating power from improved measurements
- Complementary to LHC
- Invisible decay connected to dark sector

$$a_\mu^{\text{SUSY}} \approx 13 \times 10^{-10} \text{sign}(\mu) \left( \frac{100 \text{ GeV}}{m_{\text{SUSY}}} \right)^2 \tan\beta$$

**Dark Sector?**

