

Development of Superconducting Tunnel Junction Far-Infrared Photon Detectors for Cosmic Background Neutrino Decay Search - COBAND Experiment

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for COBAND Collaboration



COBAND Collaboration

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● Introduction

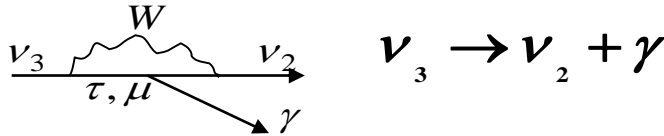
Motivation

COsmic BAckground Neutrino Decay search (COBAND) experiment

● R&D of Superconducting Tunnel Junction (STJ) Detector

Motivation of Search for Cosmic Background Neutrino Decay

- To determine the neutrino mass itself by neutrino decay observation.



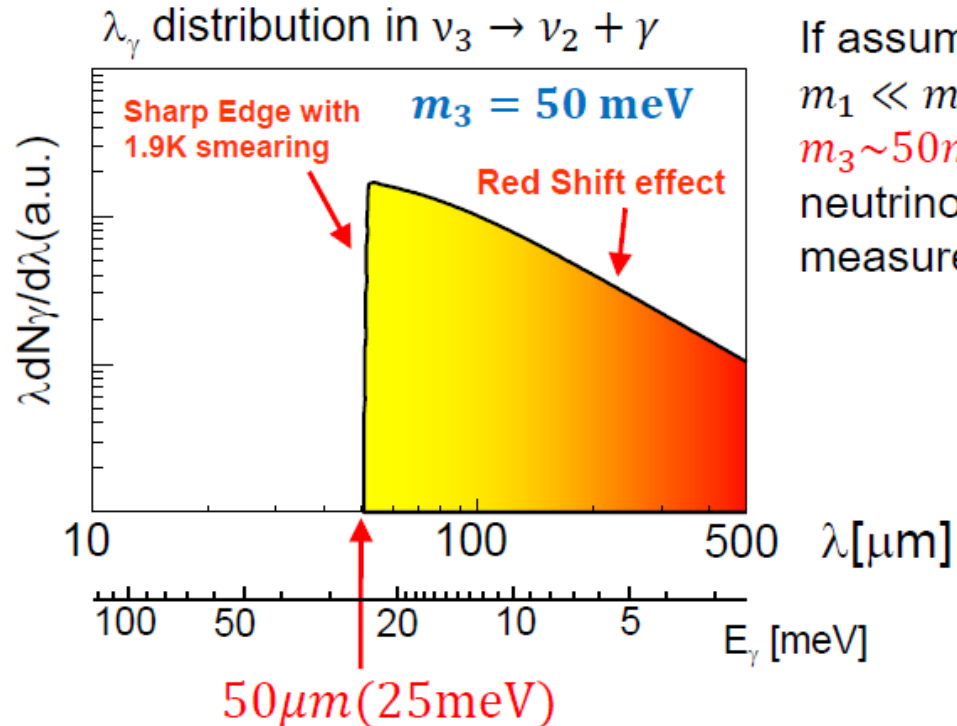
$$E_\gamma = \frac{m_3^2 - m_2^2}{2m_3} = \frac{\Delta m_{23}^2}{2m_3}$$

Using $\Delta m_{23}^2 = (2.43 \pm 0.09) \times 10^{-3} \text{ eV}^2$

$E_\gamma = 10 \sim 25 \text{ meV}$ at ν_3 rest frame.

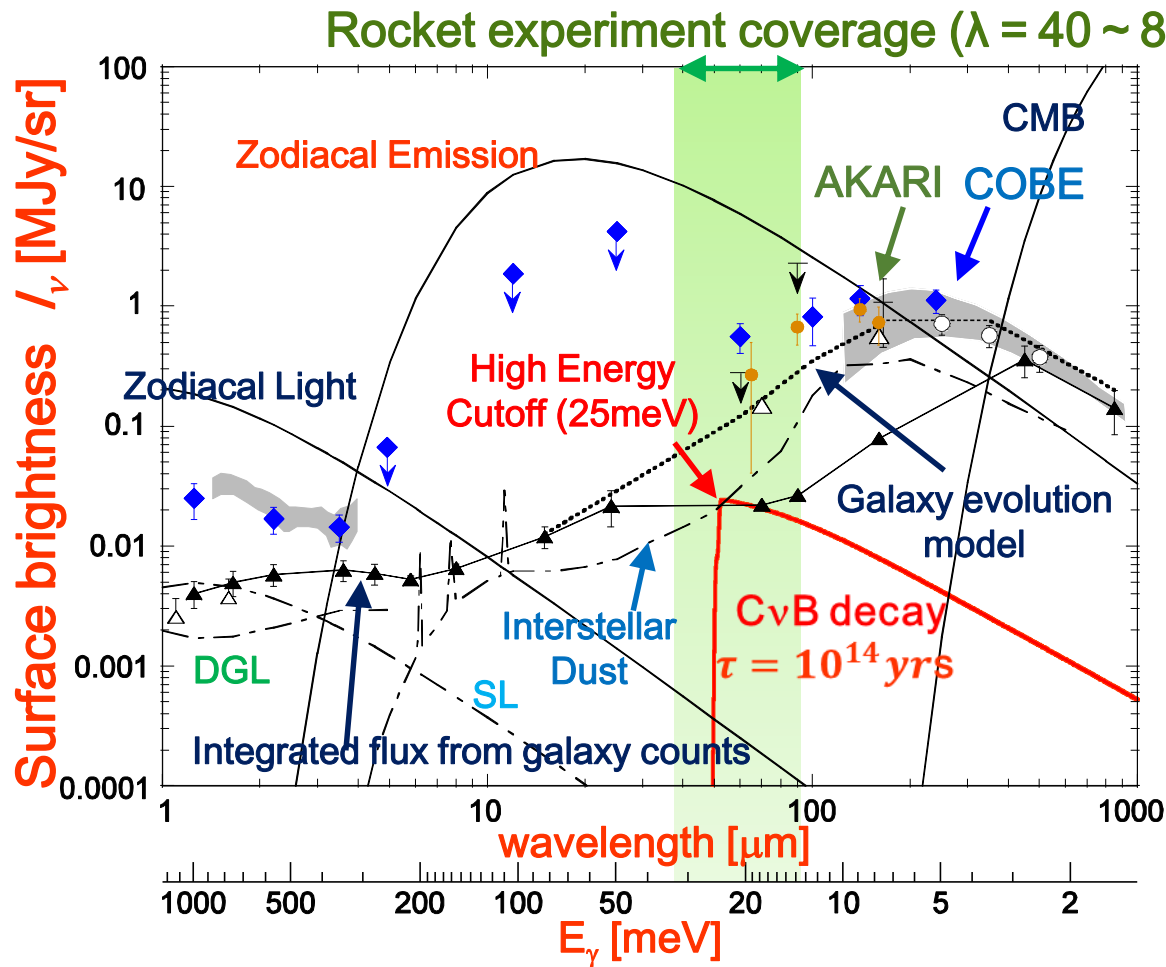
(Far - Infrared region $\lambda = 50 \sim 125 \mu$)

- As the neutrino lifetime is very long, we need use the cosmic background neutrino (CvB) as a huge neutrino source. Measured neutrino lifetime limit $\tau > 3 \times 10^{12}$ year.
- To observe this decay means a discovery of the cosmic background neutrino predicted by cosmology.



If assume $m_1 \ll m_2 < m_3$, $m_3 \sim 50 \text{ meV}$ from neutrino oscillation measurements

Signal of Cosmic Background Neutrino Decay and its Backgrounds



Cosmic Infrared Background (CIB) measurements
(● AKARI, ◆ COBE)

By measuring the energy spectrum of the Zodiacal Emission with the CvB decay continuously, we can see the CvB decay signal as a high energy cutoff.

Requirements for the detector

- Continuous spectrum of photon energy around $E_\gamma \sim 25$ meV ($\lambda = 50\mu\text{m}$)
- Energy measurement for single photon with better than 2% resolution for $E_\gamma = 25$ meV to identify the sharp edge in the spectrum
- Rocket and/or satellite experiment with this detector

COBAND (COsmic BACKGROUND Neutrino Decay Search) Experiment

Rocket Experiment Plan: 5minutes data acquisition at 200 km height in 2020-21.

JAXA Sounding Rocket S520

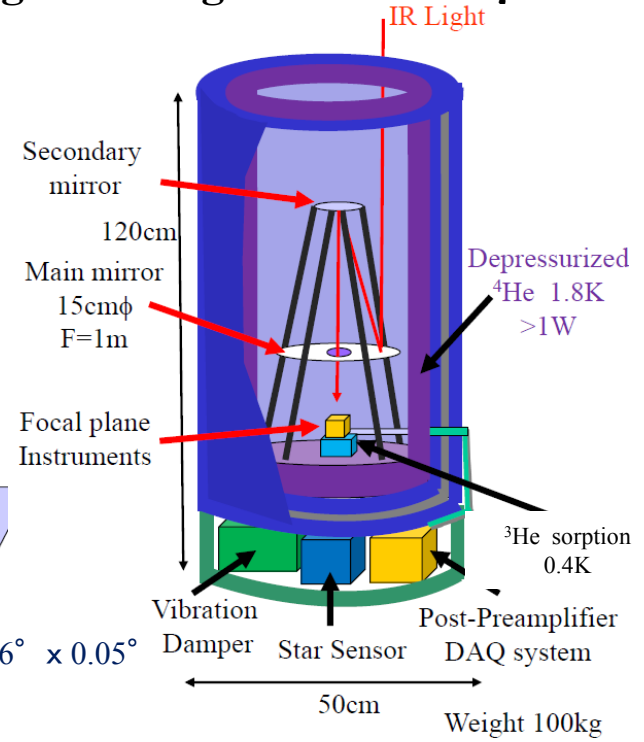
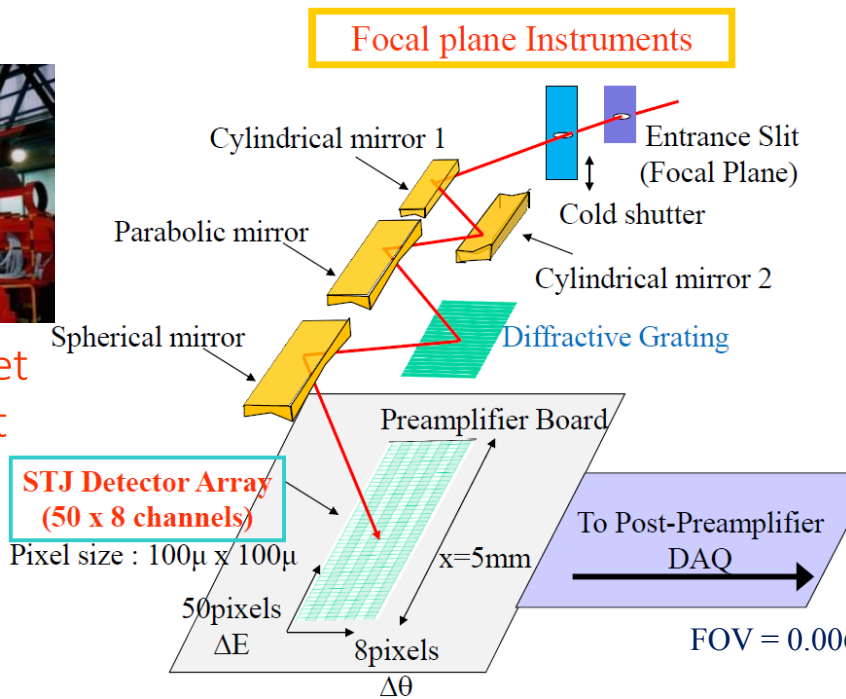
Improve the current limit of lifetime $\tau(\nu_3)$ by two orders of magnitude ($\sim 10^{14}$ years).

» Superconducting Tunneling Junction (STJ) detectors in development

> Array of 50 Nb/Al-STJ pixels with diffractive grating covering $\lambda = 40 - 80 \mu\text{m}$



JAXA S520 Rocket
CIB Experiment
(Feb 2, 1992)



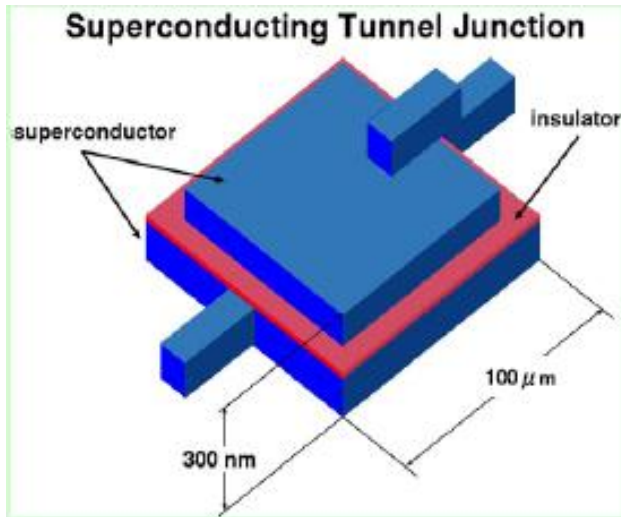
Satellite experiment after 2025 → sensitivity of $\tau(\nu_3) \sim 10^{17}$ year (L-R symmetric model prediction)

> STJ using Hafnium: Hf-STJ for satellite experiment (S. H. Kim et al. JPSJ 81,024101 (2012))

- $\Delta = 20 \mu\text{eV}$: Superconducting gap energy for Hafnium
- Microcalorimeter $\Delta E/E < 2\%$ without diffractive grating.

STJ (Superconducting Tunnel Junction) Detector

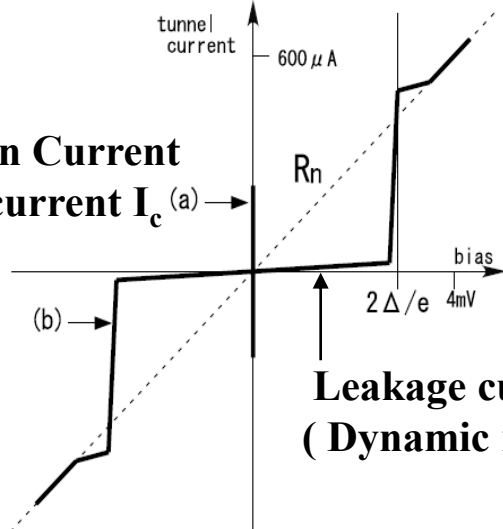
- Superconductor / Insulator / Superconductor Josephson Junction



At the superconducting junction, quasi-particles over their energy gap go through tunnel barrier by a tunnel effect. By measuring the tunnel current of quasi-particles excited by an incident particle, we measure the energy of the particle.

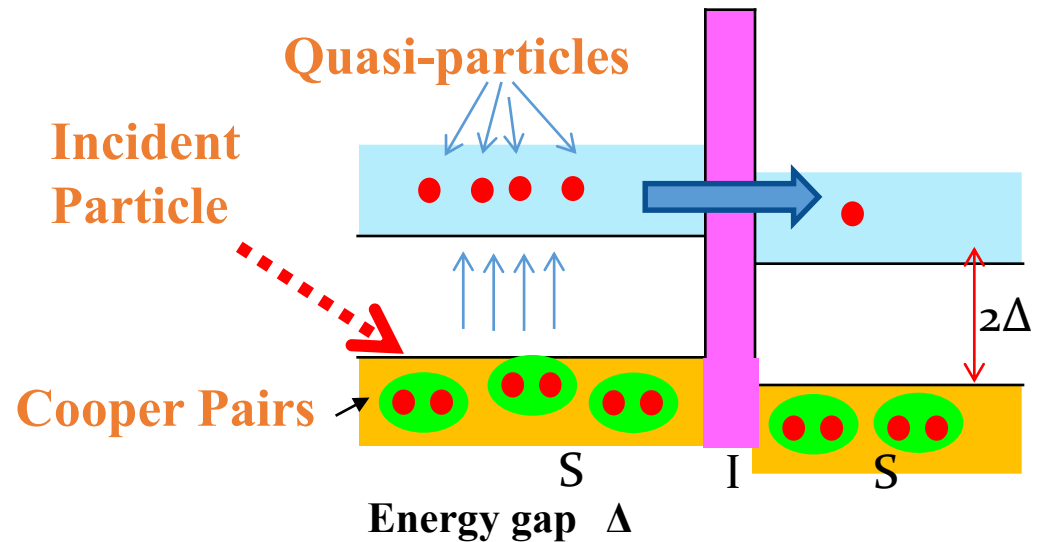
current-voltage (I-V) curve for STJ

Josephson Current
Critical current I_c (a)



Leakage current

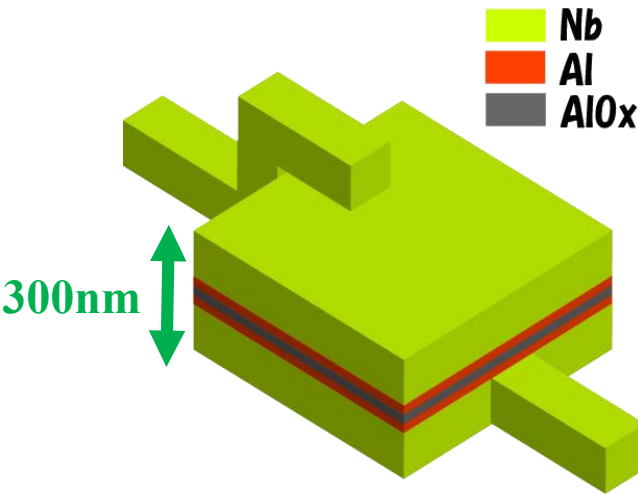
(Dynamic resistance R_d in $|V| < 2\Delta/e$)



Material	$T_c(K)$	$\Delta(meV)$
Niobium	9.20	1.550
Aluminum	1.14	0.172
Hafnium	0.13	0.021

Nb/Al-STJ Photon Detector

Back tunneling Effect → Trapping Gain



- Quasi-particles near the barrier can mediate Cooper pairs, resulting in true signal gain
 - Bi-layer fabricated with superconductors of different gaps $\Delta_{\text{Nb}} > \Delta_{\text{Al}}$ to enhance quasi-particle density near the barrier
 - Nb(200nm)/Al(70nm)/AlOx/Al(70nm)/Nb(100nm)
 $\Delta_{\text{Nb/Al}} = 0.57\text{meV}$
- Gain: 2 ~ 200 (10 for Al)

Number of Quasi-particles in Nb/Al-STJ

$$N_q = G_{\text{Al}} E_0 / 1.7\Delta$$

G_{Al} : Trapping Gain in Al (~10)

E_0 : Photon Energy

Δ : E-Gap in superconductor

For 25meV single photon $N_q = 250 e$

Requirement for detector

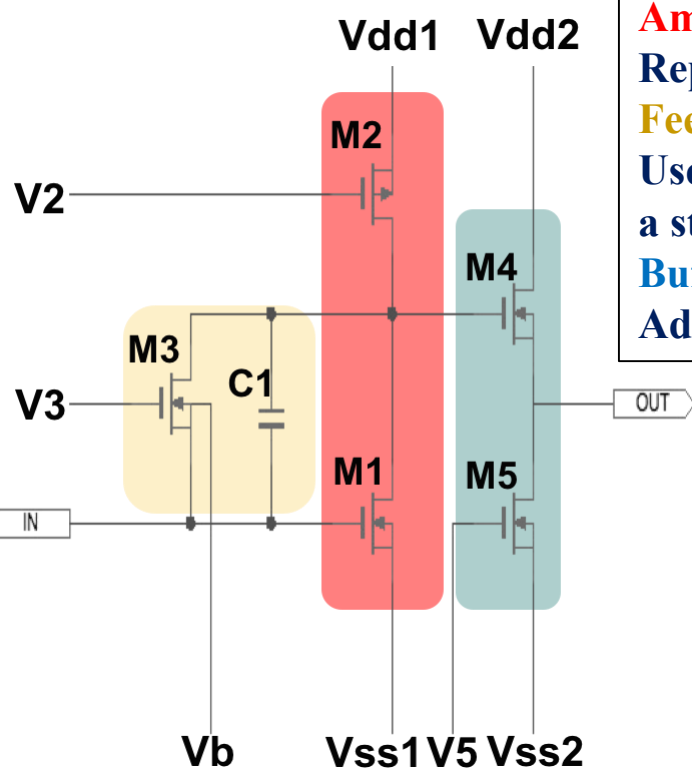
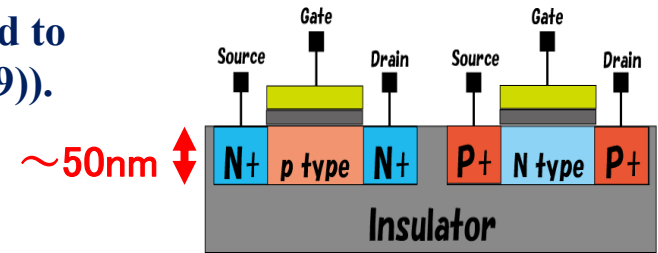
- Leakage current $I_{\text{leak}} < 0.1\text{nA}$: Done
- Noise integrated in $10\mu\text{s} < 30e$: Cryogenic amplifier is needed

SOI Cryogenic Amplifier

FD-SOI (Fully Depleted Silicon-On-Insulator) device was proved to operate at 4K by a JAXA/KEK group (AIPC 1185,286-289(2009)).

SOI-STJ4 (the 4th prototype)

FD-SOI -MOSFET



Amplification

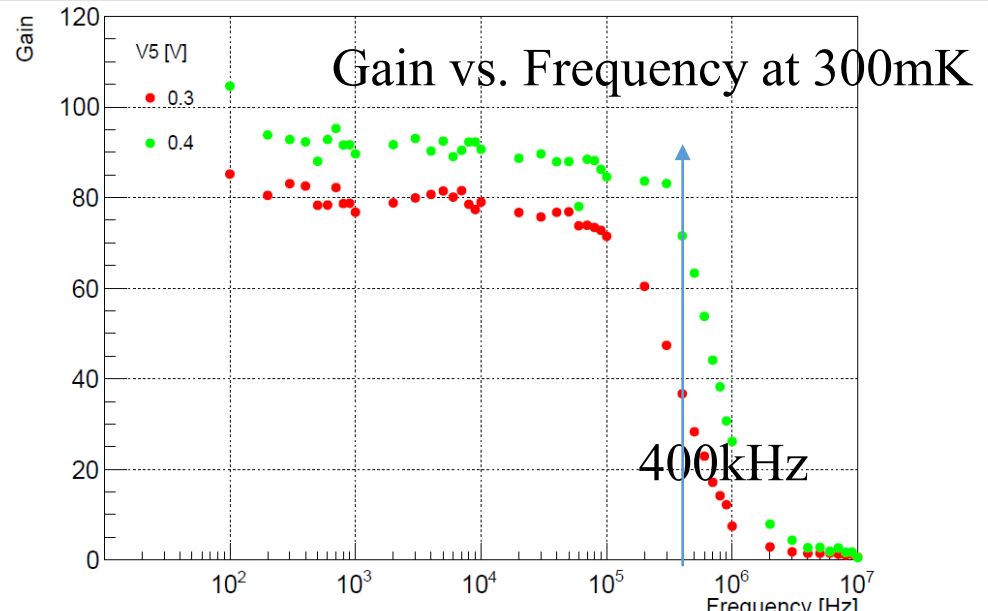
Replace the resistance by a SOIFET as a current source (M2).

Feedback

Use the feedback between the drain and the gate of M1 to apply a stable bias voltage (M3).

Buffer

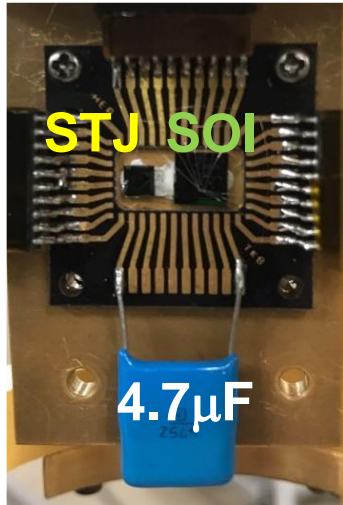
Add the follower to reduce the output impedance (M4 and M5).



This SOI amplifier board was made by LAPIS semiconductor company.

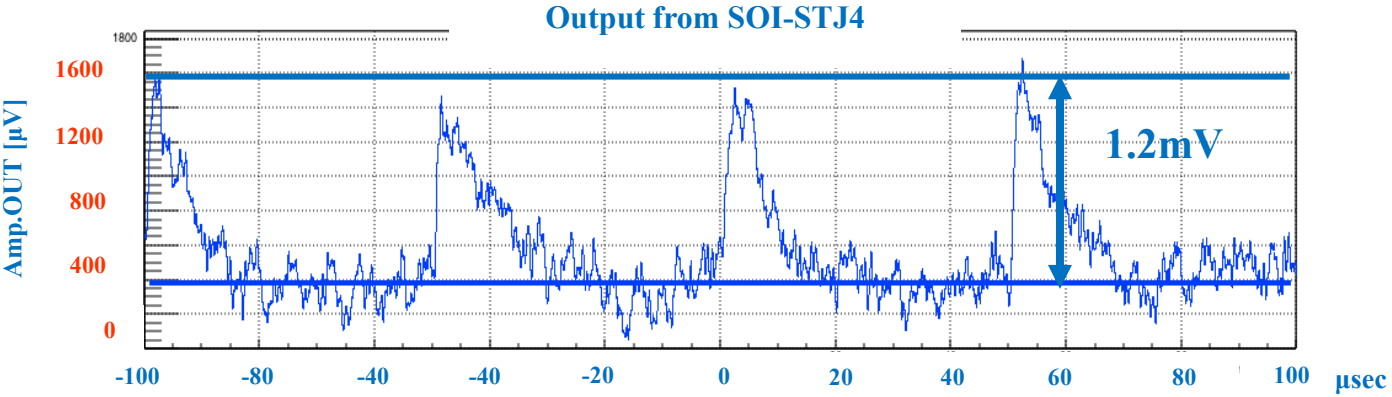
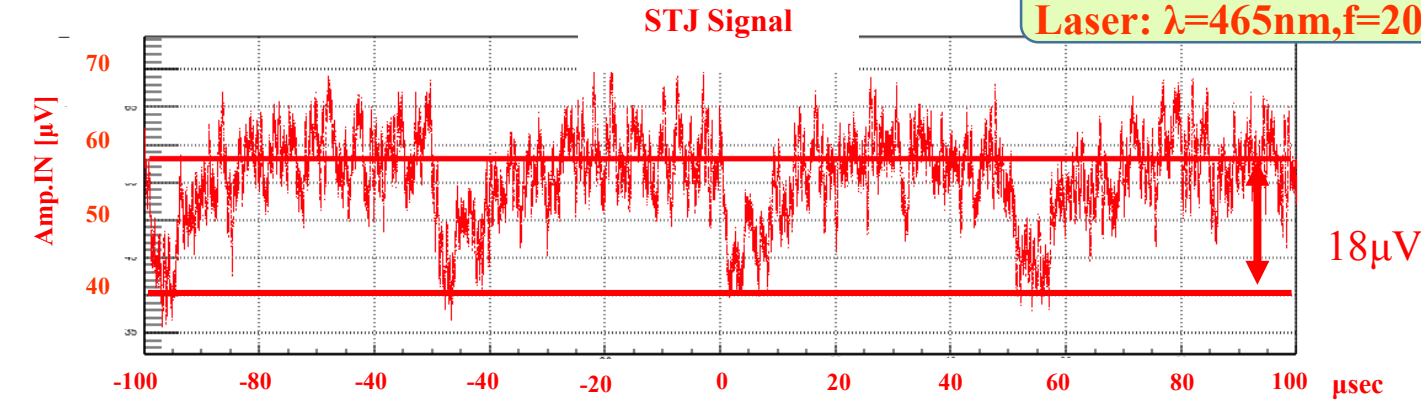
STJ signal amplified with the SOI cryogenic preamplifier

Nb/Al-STJ laser light response signal was amplified with this SOI cryogenic amplifier.



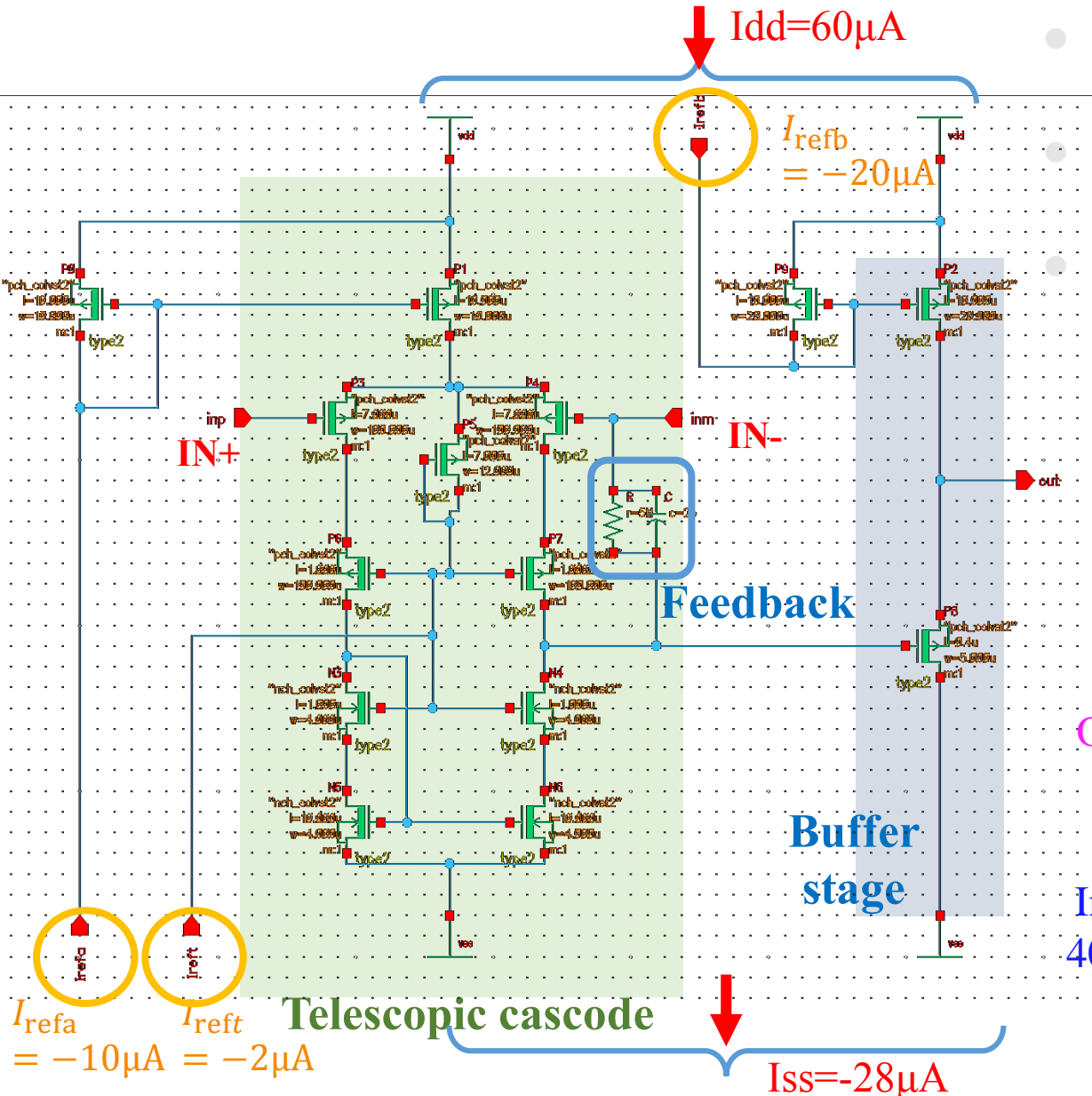
STJ signal to visible laser $\lambda = 465\text{nm}$, 20kHz

$T = 350\text{mK}$
Laser: $\lambda = 465\text{nm}$, $f = 20\text{kHz}$



Amplification Gain : 70
S/N improved by a factor of 2

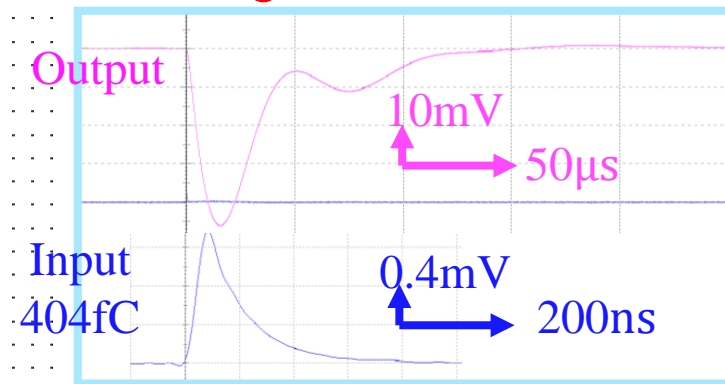
Charge Amplifier Circuit for STJ (SOI-STJ5 design)



- Telescopic cascode differential amplifier
- Feedback $C(2\text{pF}) \times R(5\text{M}\Omega) = 10\mu\text{s}$
- Power consumption $\sim 150\mu\text{W}$

Test of this cryogenic charge amplifier is underway.

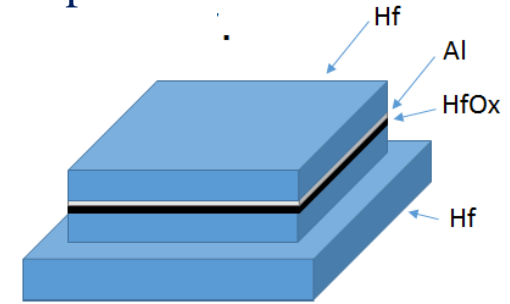
Working at 3K



Next cryogenic charge amplifier was designed with a higher gain to see a 25meV single photon.

R&D Status of Hf-STJ - Laser Light Response

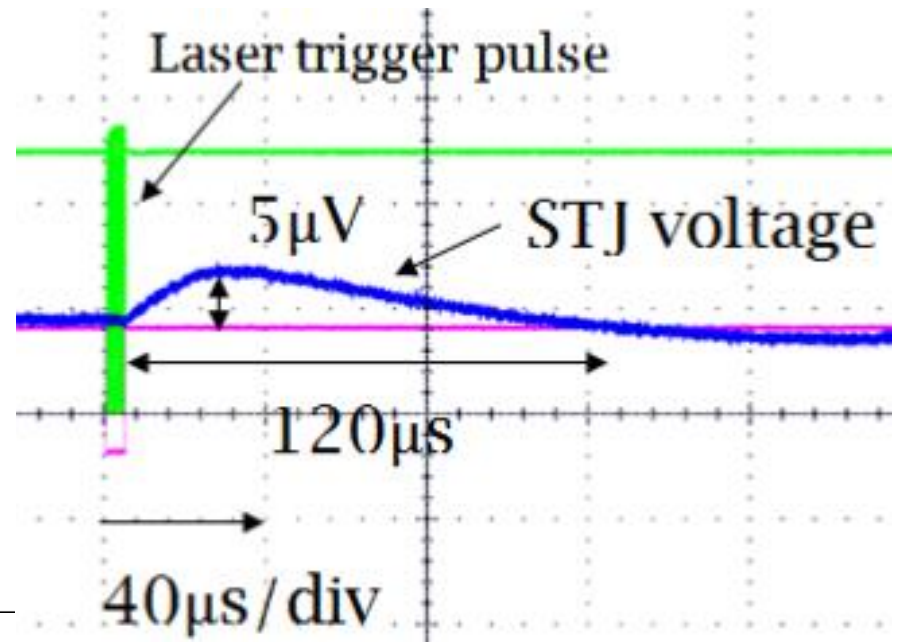
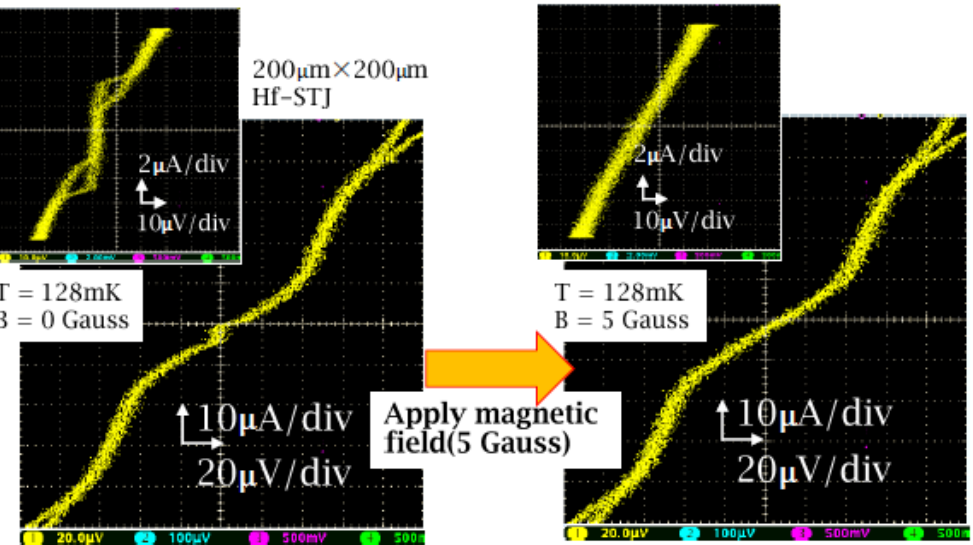
We made a thin aluminum layer (9nm) on the HfO layer (1-2 nm) to improve the insulation of the HfO_x layer. Hf/Al/HfO_x/Hf-STJ



$$\Delta = 20 \sim 30 \mu\text{eV}$$

Leakage current = 5 μA @ 128mK
for 200 μm -square sample.

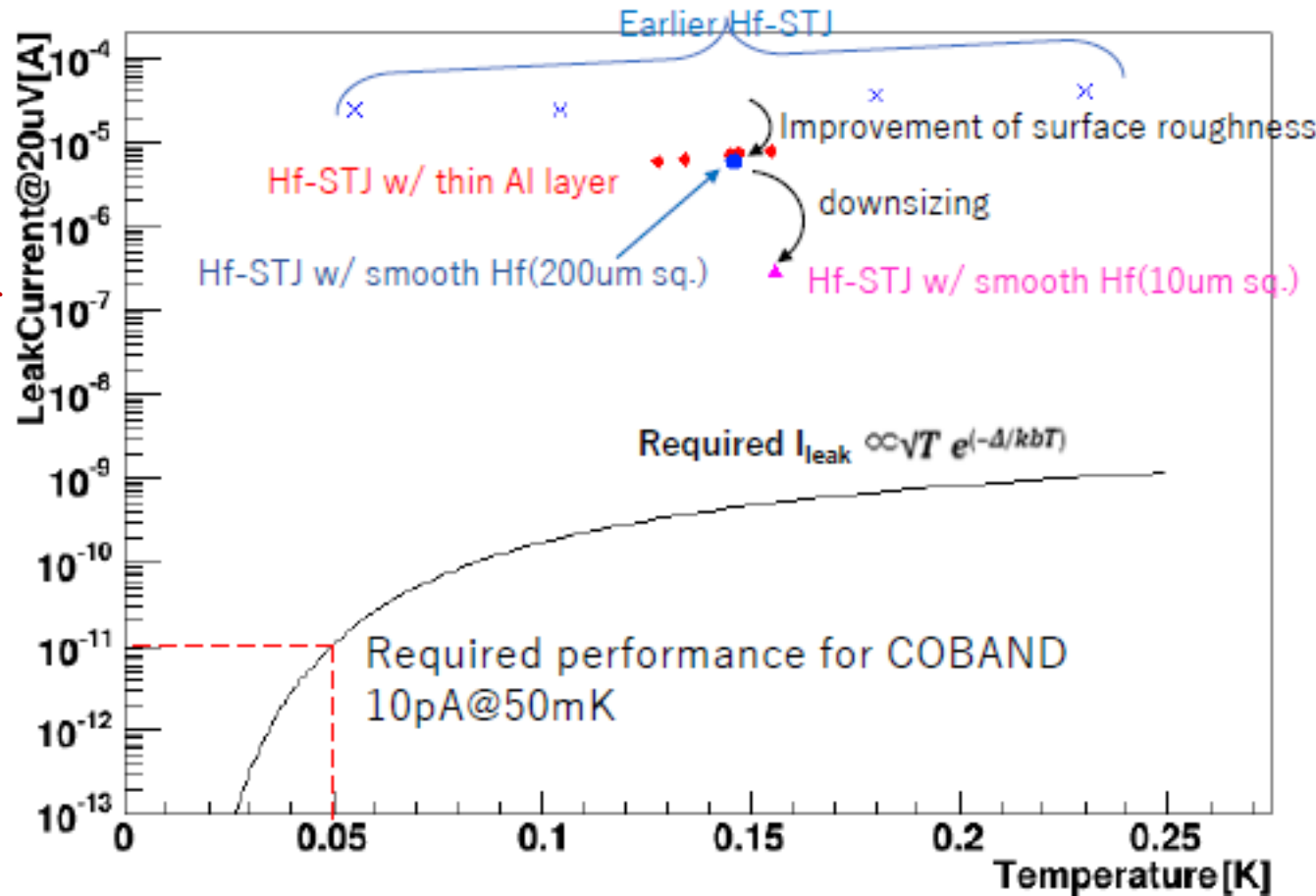
Visible light laser ($\lambda=465\text{nm}$) 10Hz duration



Response speed (120 μs) is slower than Nb/Al-STJ response speed (around a few μs).

Improvement of Hf-STJ Leakage Current

- Hf/Al/HfO_x/Hf-STJ reduced the leakage current to one-tenth.
- Hf-STJ with **smoothed Hf layer** reduced the leakage current to one-tenth.
- **Small size** Hf-STJ (10μ-square) reduced the leakage current to 1/24.



We are working on the study on downsizing of Hf-STJ.

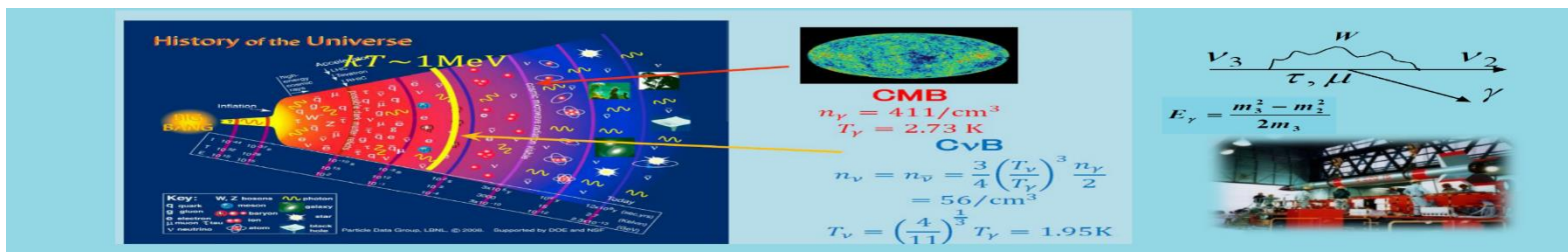
We plan to lower the operation temperature using another better dilution refrigerator.

Summary

- R&D of STJ detectors and the design of the COBAND rocket experiment are underway.
 - Nb/Al-STJ satisfied our requirement for leakage current less than 100pA.
 - Cryogenic amplifier with the SOI technology worked at 300mK.
We have succeeded in amplifying the STJ signal with the SOI cryogenic amplifier.
 - **Hf-STJ signal for visible laser light was observed.**
- Many applications of the STJ detector as
 - a single photon detector in the far-infrared range,
 - a very low energy particle detector,
 - X-ray energy measurement with very higher energy resolution and so on.

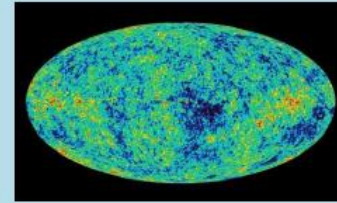
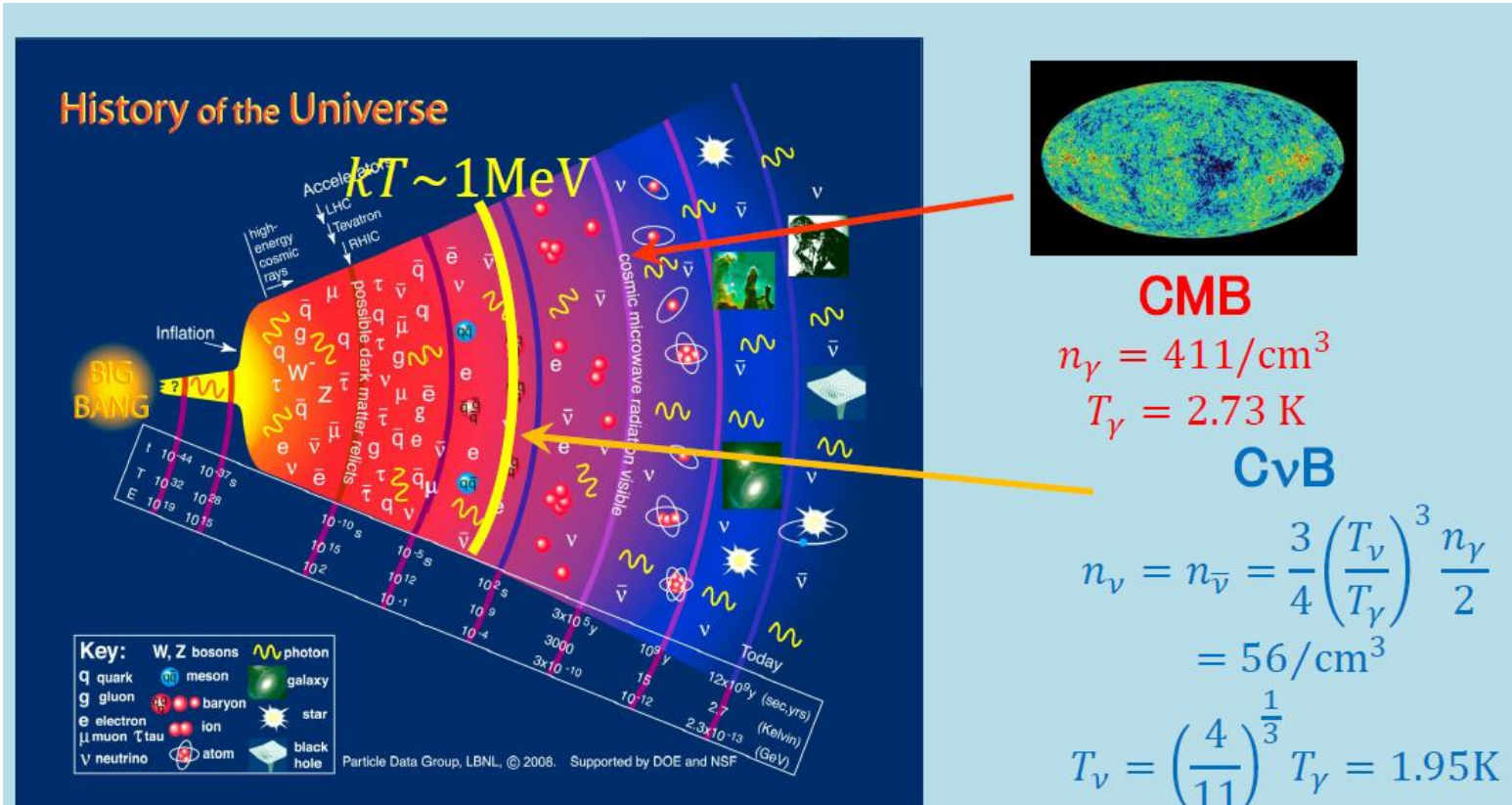
COBAND WEB page

<http://hep.px.tsukuba.ac.jp/coband/eng/>



BACKUP

Big-Bang Cosmology and Cosmic Background Neutrino (CvB)



CMB

$$n_\gamma = 411/\text{cm}^3$$

$$T_\gamma = 2.73 \text{ K}$$

CvB

$$n_\nu = n_{\bar{\nu}} = \frac{3}{4} \left(\frac{T_\nu}{T_\gamma} \right)^3 \frac{n_\gamma}{2}$$

$$= 56/\text{cm}^3$$

$$T_\nu = \left(\frac{4}{11} \right)^{\frac{1}{3}} T_\gamma = 1.95 \text{ K}$$

- A few seconds after Big Bang → Cosmic Background Neutrino (CvB) became free.
- 300,000 years after Big Bang → Cosmic Microwave Background (CMB) became free.

Search for Radiative Decays of Cosmic Background Neutrino using Cosmic Infrared Background Energy Spectrum

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We propose to search for the neutrino radiative decay by fitting a photon energy spectrum of the cosmic infrared background to a sum of the photon energy spectrum from the neutrino radiative decay and a continuum. By comparing the present cosmic infrared background energy spectrum observed by AKARI and Spitzer to the photon energy spectrum expected from neutrino radiative decay with a maximum likelihood method, we obtained a lifetime lower limit of 3.1×10^{12} to 3.8×10^{12} years at 95% confidence level for the third generation neutrino ν_3 in the ν_3 mass range between 50 and 150 meV/ c^2 under the present constraints by the neutrino oscillation measurements. In the left-right symmetric model, the minimum lifetime of ν_3 is predicted to be 1.5×10^{17} years for m_3 of 50 meV/ c^2 . We studied the feasibility of the observation of the neutrino radiative decay with a lifetime of 1.5×10^{17} years, by measuring a continuous energy spectrum of the cosmic infrared background.

KEYWORDS: neutrino radiative decay, neutrino mass, cosmic background neutrino, cosmic infrared background, COBE, AKARI, Spitzer

Search Region: $\lambda = 35 \sim 250 \mu\text{m}$ ($E_\gamma = 35 \sim 5 \text{meV}$)

In Rocket experiment, $\lambda = 40 \sim 80 \mu\text{m}$ ($E_\gamma = 31 \sim 15 \text{meV}$)

COBAND Rocket Experiment

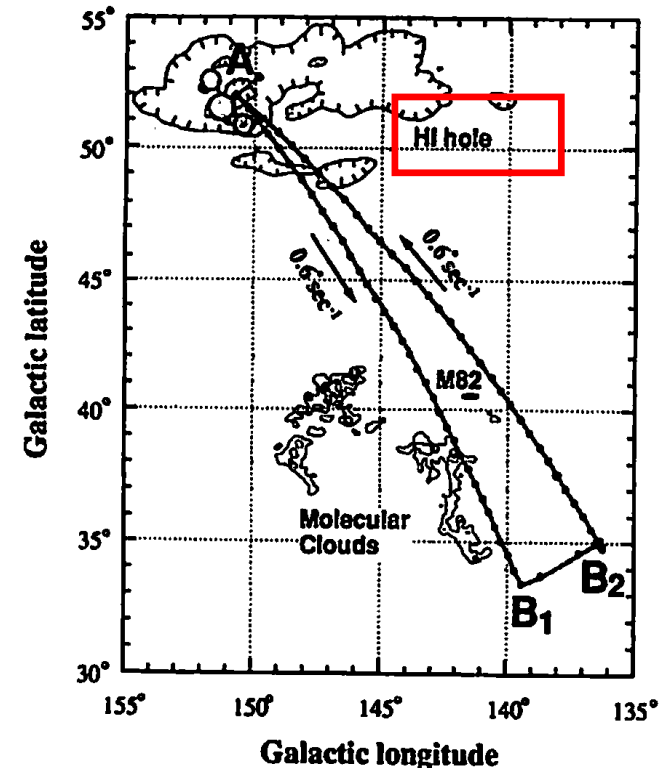
We measured CIB in the same points as S520-15 experiment measured the CIB in 1992. 方向からの宇宙赤外線

a. Pre-flight operation

X	- 10h10m	start first liquid He transfer
	- 4h10m	start second liquid He transfer (fill up) set the launcher angle to $Az=145^\circ$, $El=85^\circ$
	- 1h43m	power on (external supply)
	- 40m	start pumping the cryostat tank
	- 5m	close the pumping line valve switch to the internal power supply
	- 4m	disconnect the pumping line
X		launch (1:00:00 JST, 1992 February 2)

b. In-flight operation

X + 55s	open the nosecone covers, open the pumping line valve
+ 60s	separate the rocket motor
+ 61s	open the gas shade
+ 63s	start attitude control
+ 90s-	point at "A"
+ 130s	open the cryostat lid
+ 220s-255s	scan "A" \rightarrow "B ₁ " (0.6 s^{-1})
+ 255s-	point to "B ₂ "
+ 277s-310s	scan "B ₂ " \rightarrow "A" (0.6 s^{-1})
+ 310s-430s	point at "A"
+ 430s-	tip down to the earth limb (recovery operation)
+ 480s	instrument jettison



Measured Points

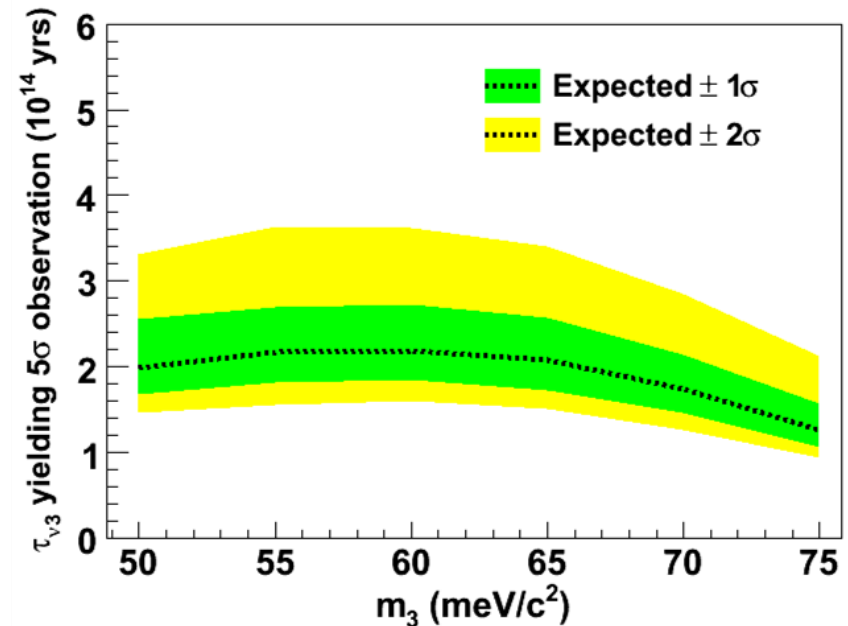
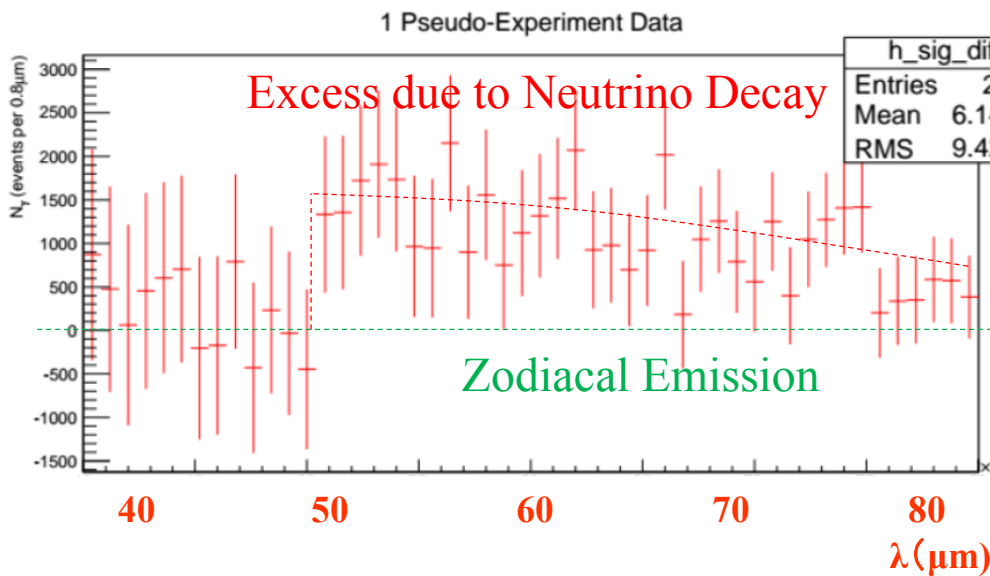
These are the same as S520-15.

A (Galactic Latitude 52° Galactic Longitude 151°)

Sensitivity to Neutrino Decay

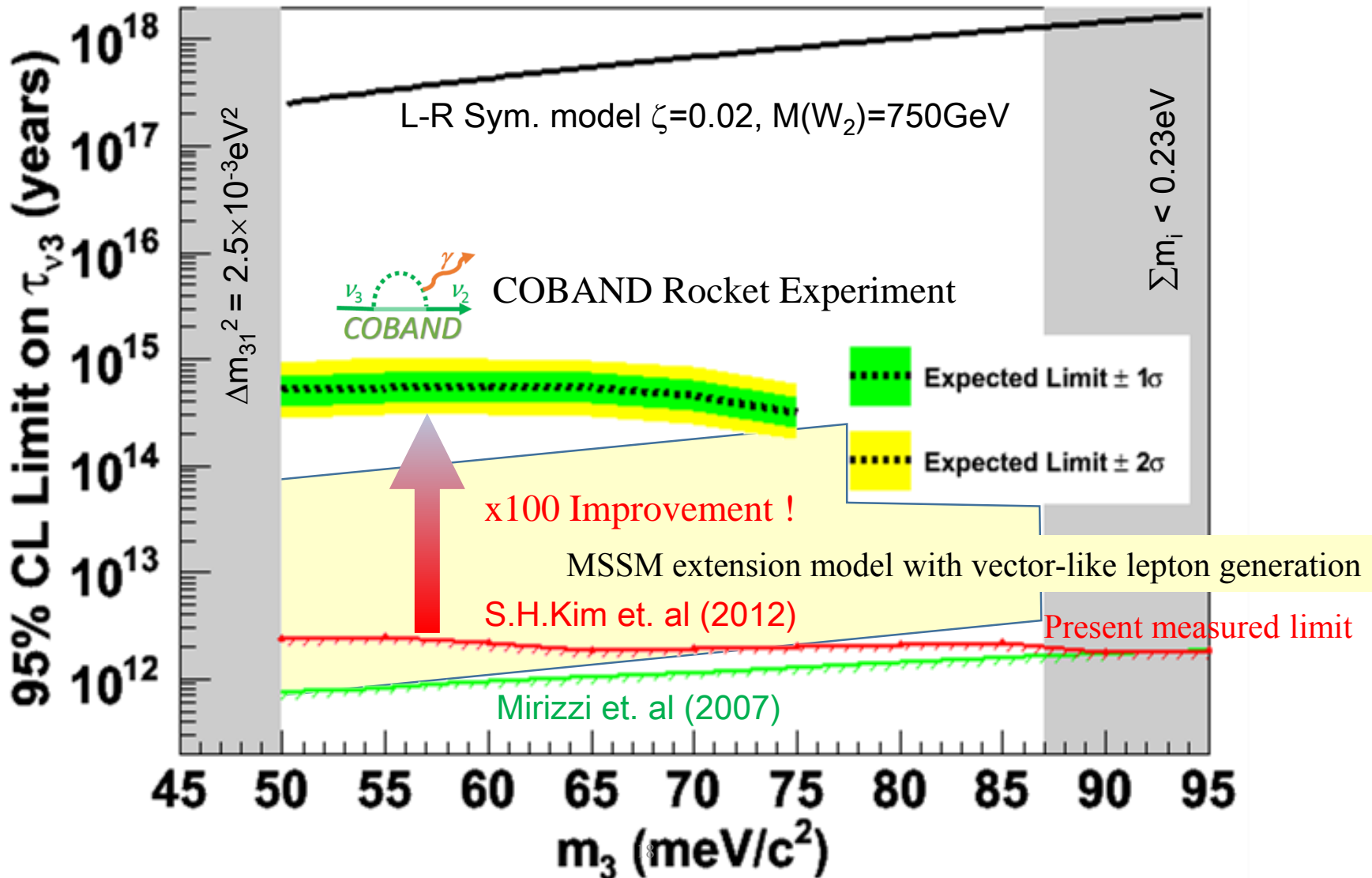
Parameters in the rocket experiment simulation

- telescope diameter: 15cm
- 50-column (λ : 40 μm – 80 μm) \times 8-row array
- Viewing angle per single pixel: 100 μrad \times 100 μrad
- Measurement time: 200 sec.
- Photon detection efficiency: 100%



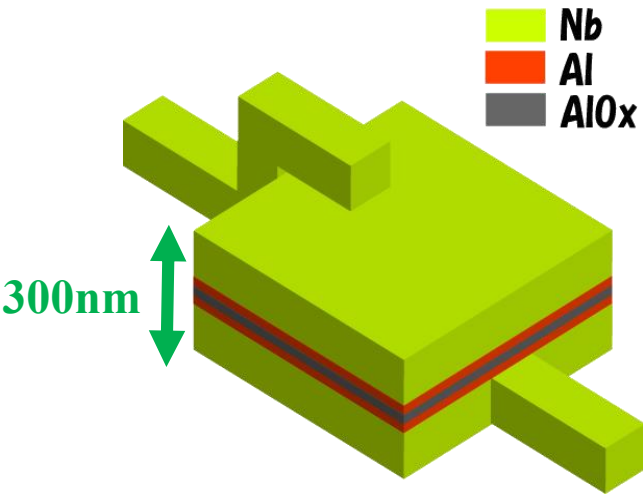
- If ν_3 lifetime were 2×10^{14} yrs, the signal significance is at 5 σ level

COBAND Experiment Sensitivity to Neutrino Decay



Nb/Al-STJ Photon Detector

Back tunneling Effect → Trapping Gain



- Quasi-particles near the barrier can mediate Cooper pairs, resulting in true signal gain
 - Bi-layer fabricated with superconductors of different gaps $\Delta_{\text{Nb}} > \Delta_{\text{Al}}$ to enhance quasi-particle density near the barrier
 - Nb(200nm)/Al(70nm)/AlOx/Al(70nm)/Nb(100nm)
 $\Delta_{\text{Nb/Al}} = 0.57\text{meV}$
- Gain: 2 ~ 200 (10 for Al)

Number of Quasi-particles in Nb/Al-STJ

$$N_q = G_{\text{Al}} E_0 / 1.7\Delta$$

G_{Al} : Trapping Gain in Al (~10)

E_0 : Photon Energy

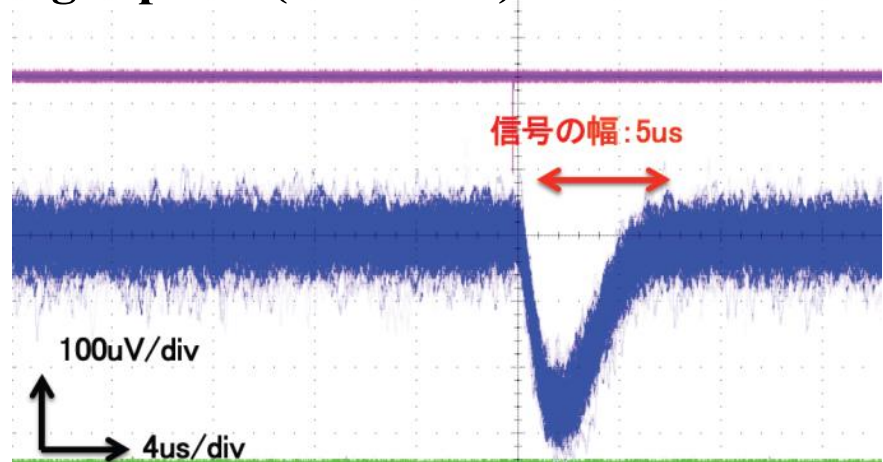
Δ : E-Gap in superconductor

For 25meV single photon $N_q = 250 e$

Requirement for detector

- Leakage current $I_{\text{leak}} < 0.1\text{nA}$: Done
- Noise integrated in $10\mu\text{s} < 30e$:
cryogenic amplifier is needed

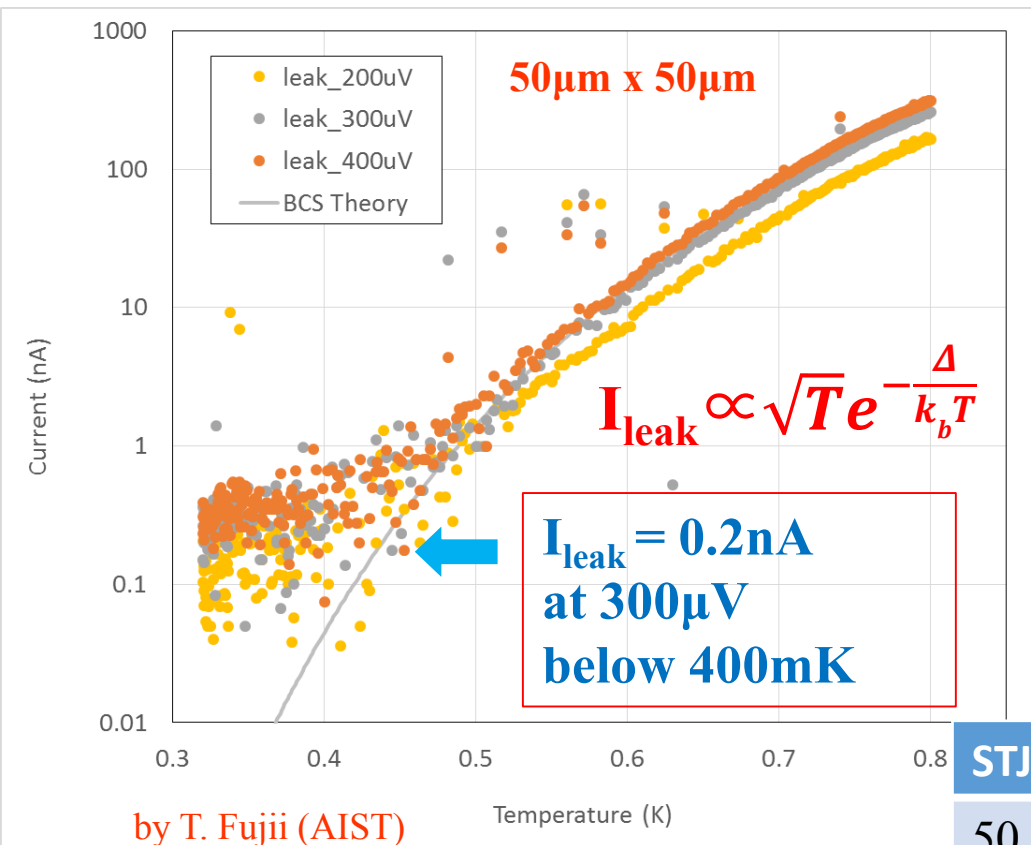
Response of Nb/Al-STJ to visible laser light pulse ($\lambda=465\text{nm}$) at 350mK



Leakage Current of Nb/Al-STJ

- Leakage current I_{leak} is required to be below 0.1nA to detect a single far-infrared photon ($\lambda= 40 -80\mu\text{m}$).

Temperature Dependence of Leakage Current



In 2014,
AIST group joined us and produced
Nb/Al-STJ with AIST CRAVITY
processing system.
Leakage current has satisfied our
requirement of 0.1nA .

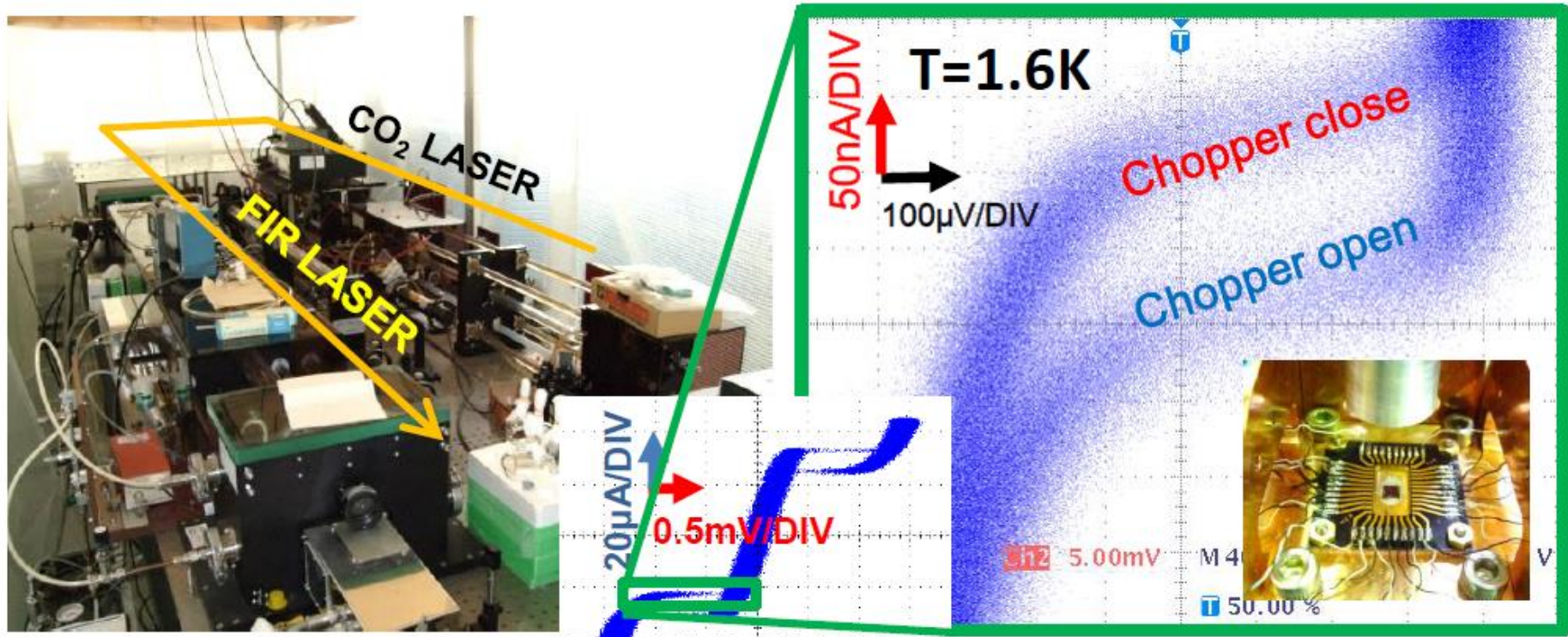


STJ size	# of samples	I_{leak} at 0.3mV
50 x 50 μm^2	18	224 \pm 29 pA
20 x 20 μm^2	7	39\pm13 pA
10 x 10 μm^2	20	14\pm7 pA

Test Results of Nb/Al-STJ with Far-Infrared laser

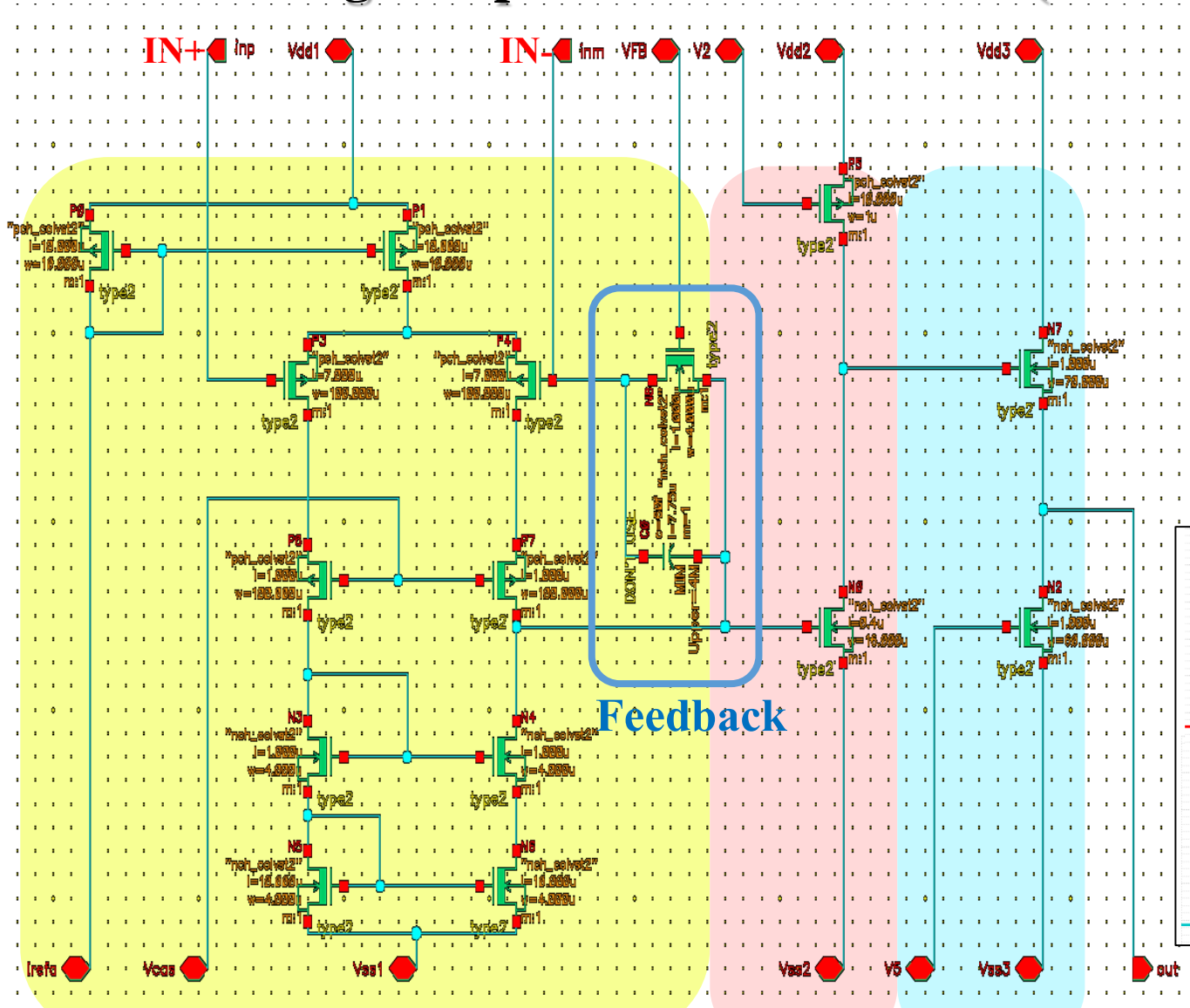
Far-Infrared Laser at University of Fukui
($\lambda=57.2\mu\text{m}$)

- Nb/Al-STJ Response to Far-Infrared Laser



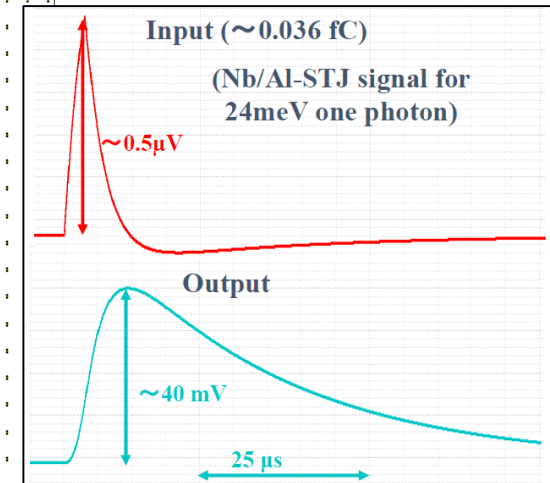
- 20μm-square Nb/Al-STJ made at AIST CRAVITY system
- Laser light was turned on and off with a chopper at a frequency of 200Hz. Measured the change of the I-V curve between the laser on and off to be 50~100nA in current.

New Charge Amplifier Circuit for STJ (SOI-STJ6 design)



- Feedback capacitance 2pF \rightarrow 60fF
- Power Consumption \sim 150 μ W
- 24meV one photon (0.03fC) gives \sim 40mV Output

Simulation Result



Telescopic cascode

Amplifier (SOI-STJ4) Buffer stage

This charge amplifier will arrive at our University soon.

Cosmic Background Neutrino

Fermi and Bose Distribution Function

$$F(E) = \frac{1}{e^{(E-\mu)/kT} \pm 1}$$

where + for fermions and - for bosons, and E is energy and μ is a chemical potential.
For $\mu \ll T$ and $m \ll T$,

$$\text{Energy density } \rho = g \int \frac{d^3p}{(2\pi)^3} E F(E) = g \left(\frac{7}{8}\right)^F \frac{\pi^2}{30} T^4$$

$$\text{Number density } n = g \int \frac{d^3p}{(2\pi)^3} F(E) = g \left(\frac{3}{4}\right)^F \frac{\zeta(3)}{\pi^2} T^3$$

$$\text{Entropy } s = \frac{4\rho}{3T} = g \left(\frac{7}{8}\right)^F \frac{2\pi^2}{45} T^3$$

Temperature:

Below 3MeV, ν is decoupled from other particles because the weak interaction cross section becomes too small.

Below 1MeV, $e^+e^- \rightarrow \gamma\gamma$ is possible, but $\gamma\gamma \rightarrow e^+e^-$ is impossible. so photons are reheated by this process. The entropies before and after this time are equal to each other:

$$\text{Entropy } s \propto g \left(\frac{7}{8}\right)^F T^3 \quad g=2(\text{ for } \gamma), 2(\text{ for } e^- \text{ or } e^+), 1(\text{for } \nu \text{ or anti-}\nu)$$

where g is the spin degree of freedom, and $F = 1$ (for fermions) and 0 (for bosons).

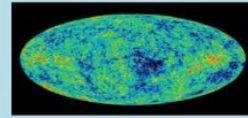
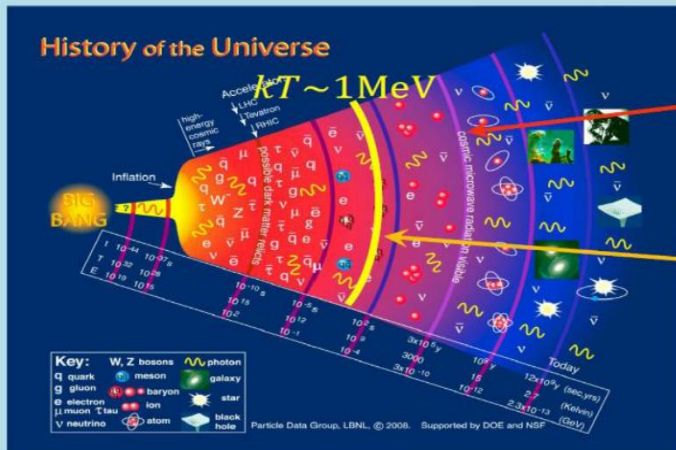
The present entropies of photons and neutrinos, $s_{\gamma 0}$ and $s_{\nu 0}$ are given by

$$s_{\gamma 0} = a^3 (s_\gamma + s_{e^-+e^+}), \quad s_{\nu 0} = a^3 s_\nu \quad \text{where } a \text{ is a scale factor.}$$

$$\rightarrow \frac{s_{\nu 0}}{s_{\gamma 0}} = \frac{s_\nu}{s_\gamma + s_{e^-+e^+}} = \frac{2 \times \frac{7}{8}}{2 + 4 \times \frac{7}{8}} = \frac{7}{22} \quad \therefore, \quad s_{\nu 0} = \frac{7}{22} s_{\gamma 0}$$

$$2 \times \frac{7}{8} T_\nu^3 = \frac{7}{22} \times 2 T_\gamma^3 \quad \rightarrow \quad T_\nu = \left(\frac{4}{11}\right)^{\frac{1}{3}} T_\gamma \quad \text{As } T_\gamma = 2.73K, \quad \therefore T_\nu = 1.95K$$

Cosmic Background Neutrino



CMB

$$n_\gamma = 411/\text{cm}^3$$

$$T_\gamma = 2.73 \text{ K}$$

CvB

$$n_\nu = n_{\bar{\nu}} = \frac{3}{4} \left(\frac{T_\nu}{T_\gamma} \right)^3 \frac{n_\gamma}{2}$$

$$= 56/\text{cm}^3$$

$$T_\nu = \left(\frac{4}{11} \right)^{\frac{1}{3}} T_\gamma = 1.95 \text{ K}$$

$$E_\gamma = \frac{m_3^2 - m_2^2}{2m_3}$$



Temperature:

$$T_\nu = 1.95 \text{ K}$$

Number density:

$$\text{As } \mu/T \ll 1, \quad n \propto g \left(\frac{3}{4} \right)^F T^3$$

where g is the spin degree of freedom, and $F = 1$ (for fermions) and 0 (for bosons).

$$\rightarrow n_\nu = \frac{3}{4} \left(\frac{T_\nu}{T_\gamma} \right)^3 \frac{n_\gamma}{2}$$

$$\therefore n_{\nu_\alpha} \approx n_{\bar{\nu}_\alpha} \approx 56 \text{ cm}^{-3} \quad (\alpha = e, \mu, \tau)$$

Requirement for the photon detector in COBAND rocket experiment

- Sensitive area of $100\mu\text{m} \times 100\mu\text{m}$ for each pixel
- High detection efficiency for a far-infrared single-photon in $\lambda = 40\mu\text{m} \sim 80\mu\text{m}$
- Dark count rate less than 300Hz (expected real photon rate)

$$\rightarrow \text{NEP} = \epsilon_{\gamma} \sqrt{2f_{\gamma}} \sim 1 \times 10^{-19} \text{ W} / \sqrt{\text{Hz}}$$

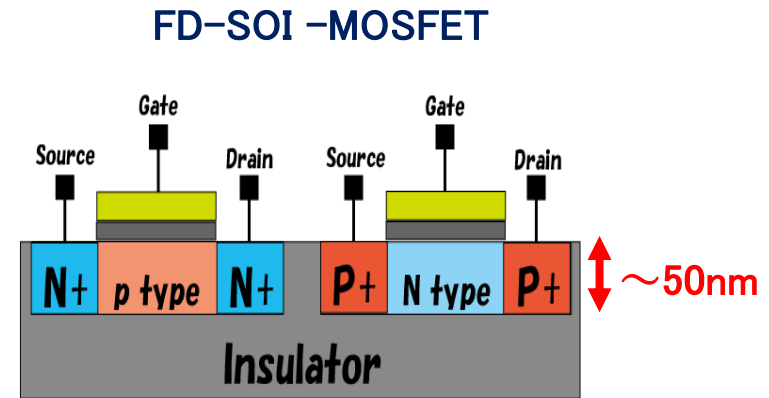
(Noise Equivalent Power) , where ϵ_{γ} is a photon energy and f_{γ} is a photon rate.

We are trying to achieve $\text{NEP} \sim 10^{-19} \text{ W} / \sqrt{\text{Hz}}$ by using

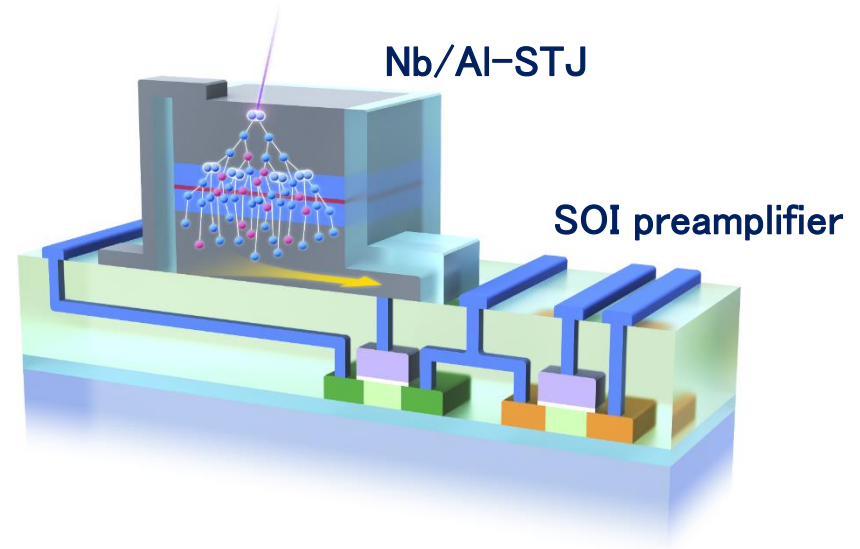
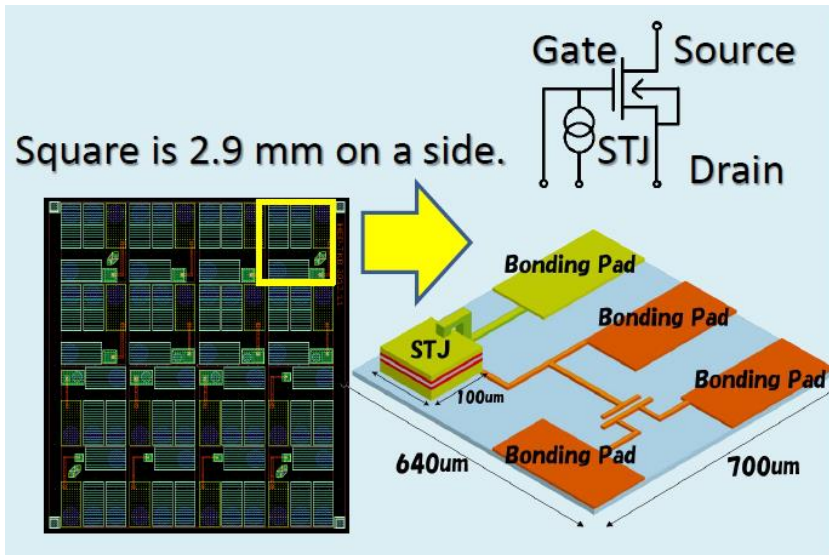
- Superconducting Tunneling Junction detector
(leakage current per pixel $< 100\text{pA}$)
- Cryogenic amplifier readout

R&D of SOI-STJ Detector

FD-SOI (Fully Depleted Silicon-On-Insulator) device was proved to operate at 4K by a JAXA/KEK group (AIPC 1185,286-289(200 FD-SOI 9)). It has the following characteristics: low-power consumption, high speed, easy large scale integration and suppression of charge-up by high mobility carrier due to thin depletion layer($\sim 50\text{nm}$).

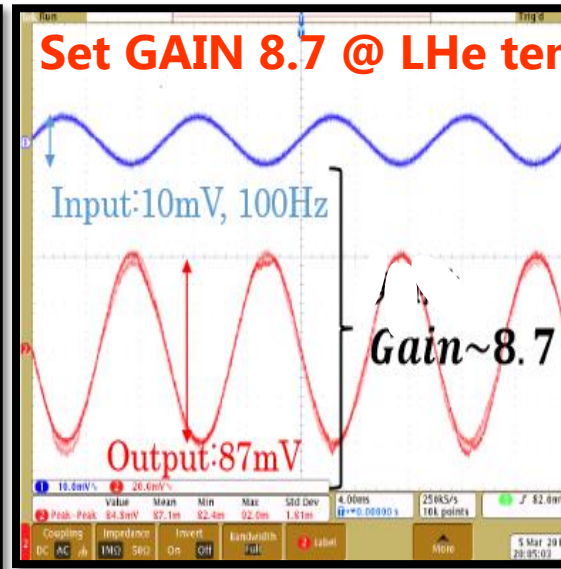
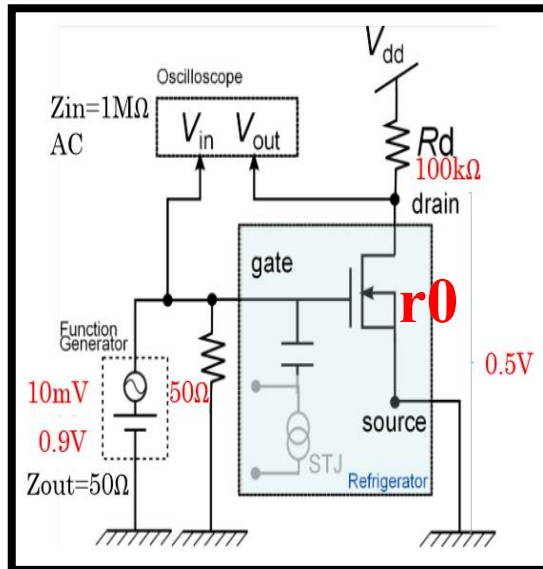
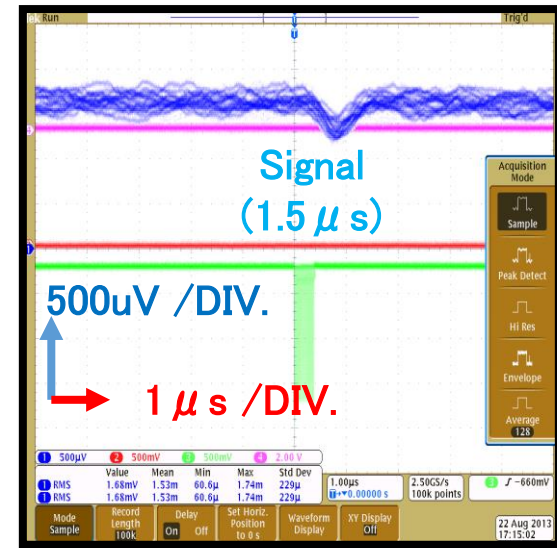


To improve the **signal-to-noise ratio** and to make **multi-pixel device** easily, we made a SOI-STJ detector where we processed Nb/Al-STJ on a SOI transistor board.



Performance of STJ and SOIFET in SOI-STJ detector

- We observed the signal of Nb/Al-STJ processed on the SOI board to 465nm laser pulse at 700mK.



- We confirmed that the SOI-FET work as a preamplifier with a gain of 8.7 at 4K up to 100kHz.

Zodiacal Emission

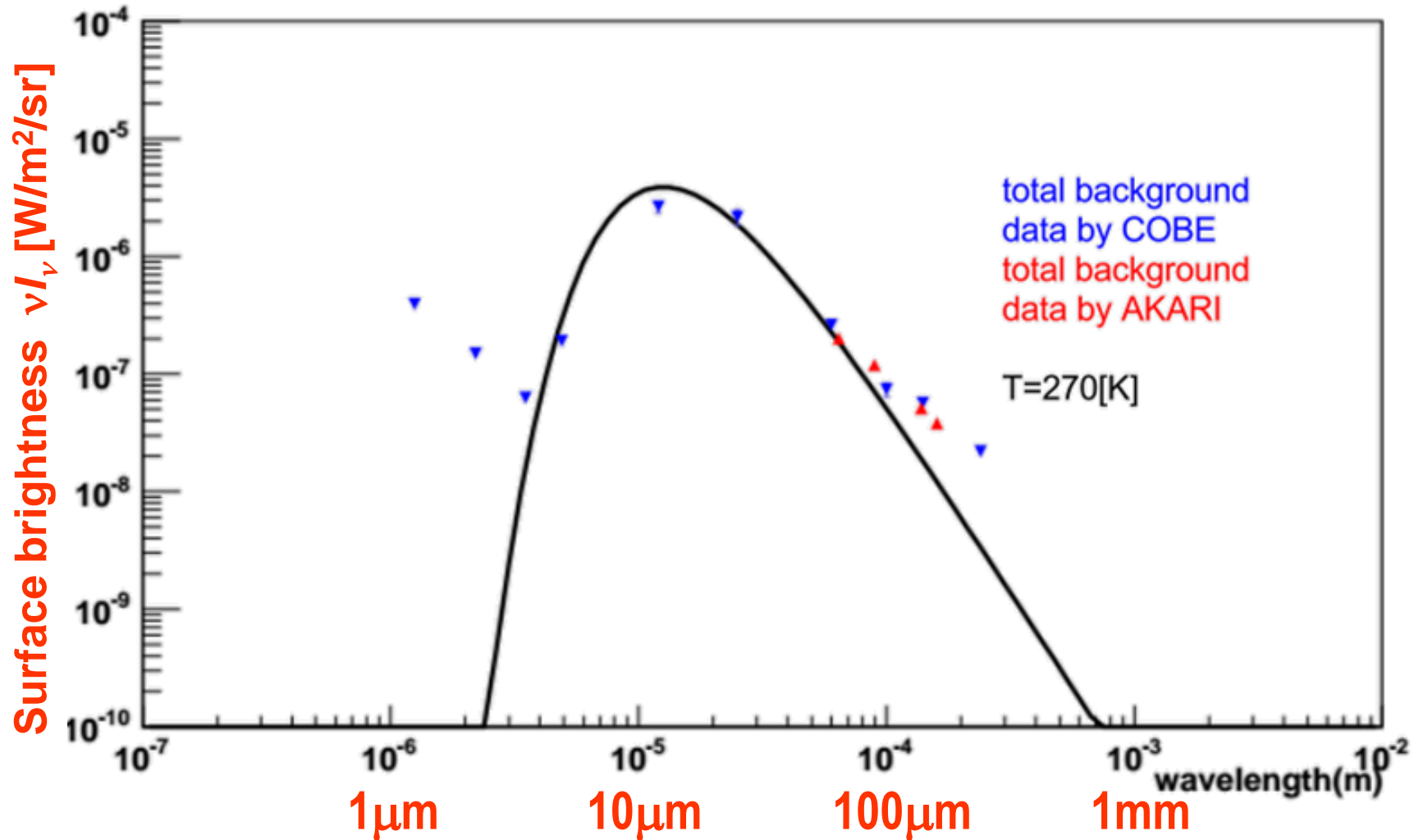
Thermal emission from the interplanetary dust cloud

$$I_\nu = \frac{2h\nu^3}{c^2} \frac{1}{\exp(h\nu/kT) - 1} \\ \times A \left(\frac{\nu}{c} \times 10^{-5} \right)^B \text{ Wm}^{-2}\text{sr}^{-1}$$

- $T = 270\text{K}$, $A = 6 \times 10^{-8}$, $B = 0.3$
- h [Js], c [m/s], λ [m]

Zodiacal Emission(ZE) is overwhelmingly dominating. Here we consider only ZE as the background.

Zodiacal Emission



STJ Energy Resolution

STJ Energy Resolution

$$\sigma_E = \sqrt{1.7\Delta(FE)}$$

Using Hf as a superconductor,

$$\sigma_E / E = 1.7\% \quad \text{at } E = 25\text{meV}$$

Δ : Band gap energy

F: Fano factor (= 0.2)

E: Incident particle energy

Material	T_c (K)	Δ (meV)
Niobium	9.20	1.550
Aluminum	1.14	0.172
Hafnium	0.13	0.021

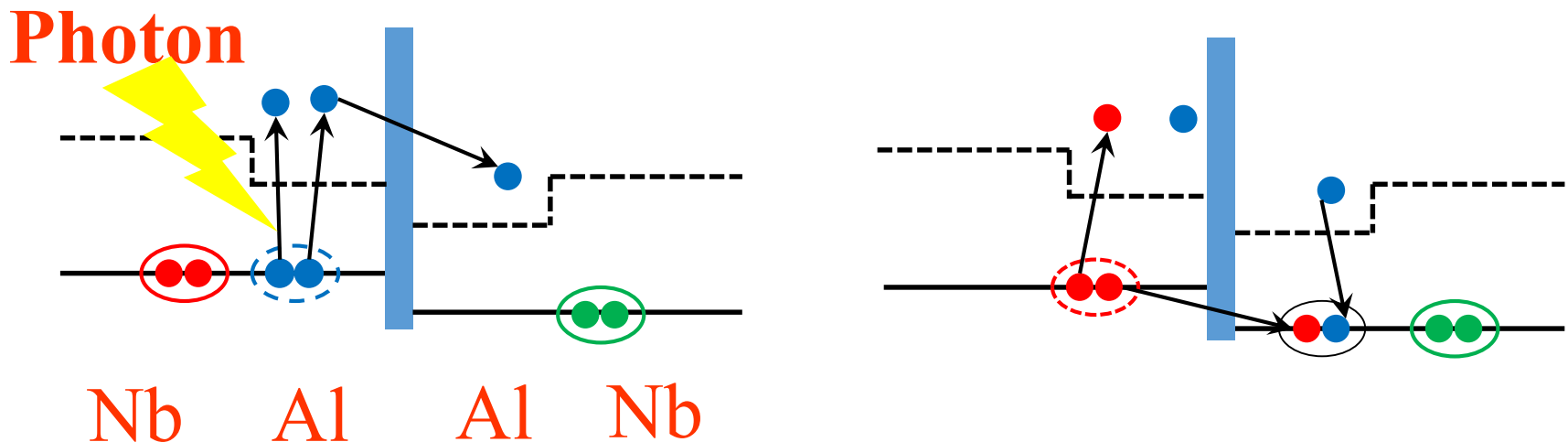
T_c : Critical Temperature

Operation is done at a temperature around 1/10 of T_c

We reported that Hf-STJ worked as a STJ in TIPP2011.

STJ back tunneling effect

- Quasi-particles near the barrier can mediate Cooper pairs, resulting in true signal gain
 - Bi-layer fabricated with superconductors of different gaps $\Delta_{\text{Nb}} > \Delta_{\text{Al}}$ to enhance quasi-particle density near the barrier
 - Nb/Al-STJ Nb(200nm)/Al(10nm)/AlOx/Al(10nm)/Nb(100nm)
- Gain: 2 ~ 200



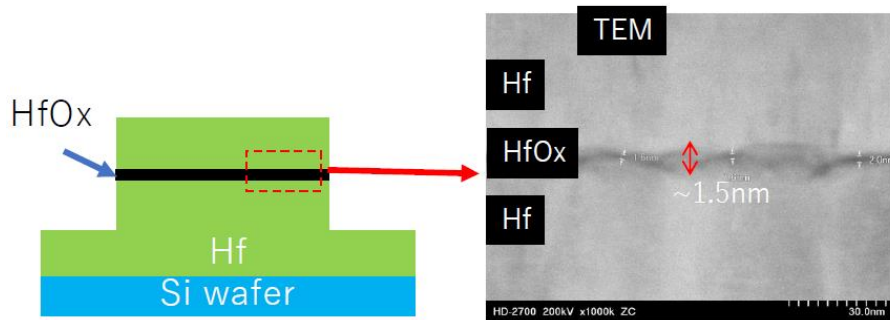
R&D Status of Hf-STJ

Goal: Measure energy of a single far-infrared photon for neutrino decay search experiment within 2% energy resolution.

Micro-calorimeter: Hf-STJ can generate enough quasi-particles from cooper pair breakings to achieve 2% energy resolution for photons with $E_\gamma = 25\text{meV}$.

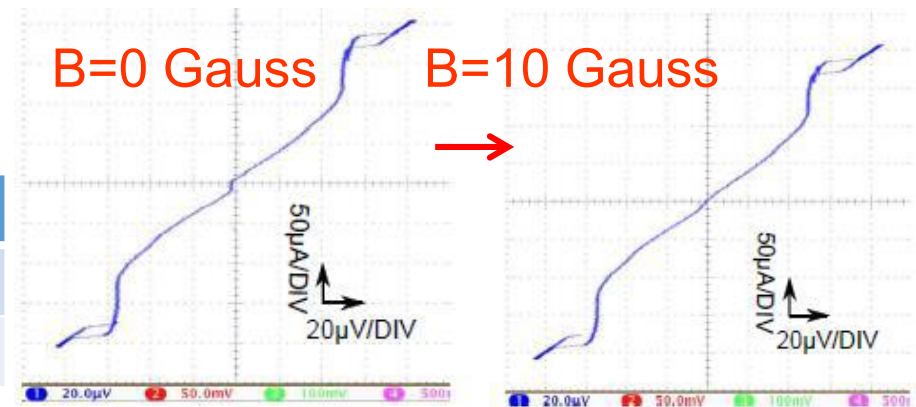
Earlier version of our Hf-STJ in 2011

- Structure: Hf/HfO_x/Hf = 250nm/1.5nm/300nm
- Leakage current 20 μA @50mK, 20 μV for 100 μm -square sample (our requirement :10pA)



I-V curve of Hf-STJ (100x100 μm^2)

- T~40mK, $I_c=10\mu\text{A}$, $R_d=0.6\Omega$

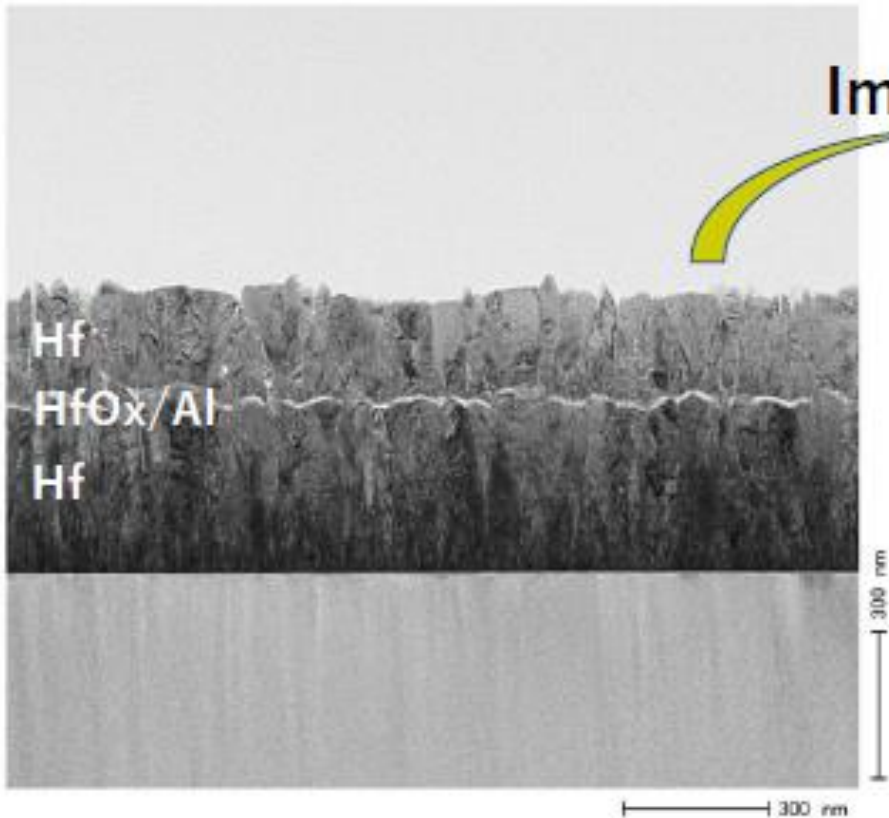


STJ size	# of samples	R_d
200 x 200 μm^2	3	$0.22 \pm 0.01 \Omega$
100 x 100 μm^2	3	$0.60 \pm 0.10 \Omega$

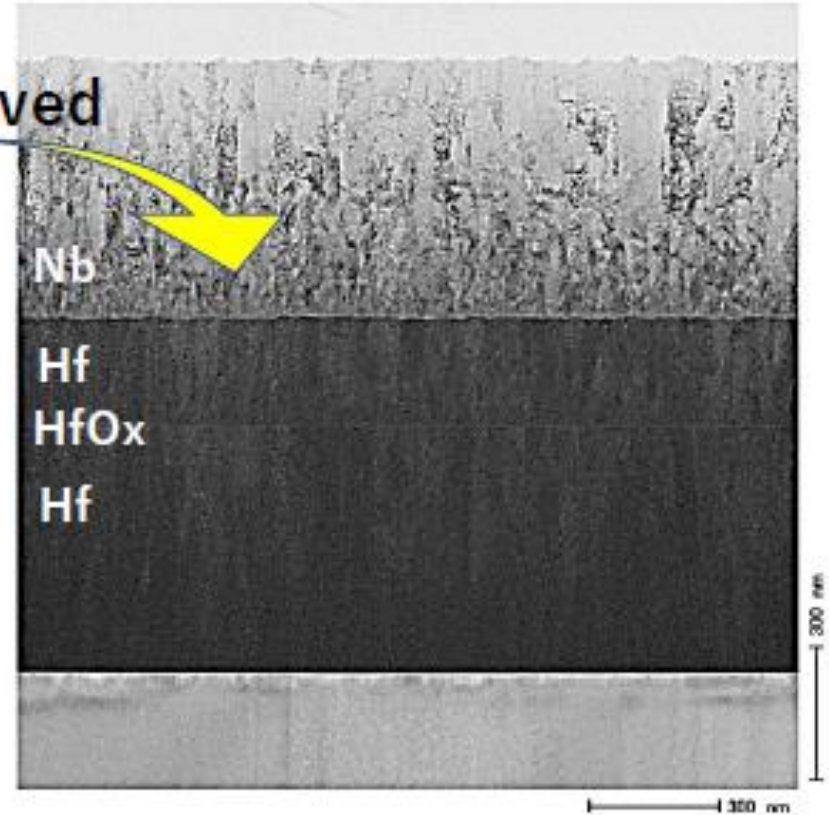
Improvement of Hf Surface Smoothness

- We improved the Hf surface smoothness by optimizing the Hf sputtering parameters.

Old sputtering condition
Ar 2.0Pa, 80W



New sputtering condition
Ar 0.5Pa, 50W



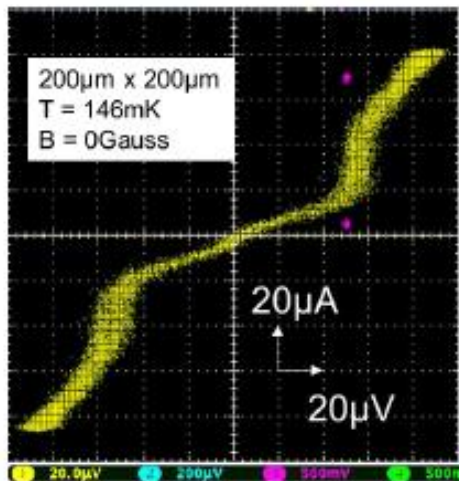
Improved



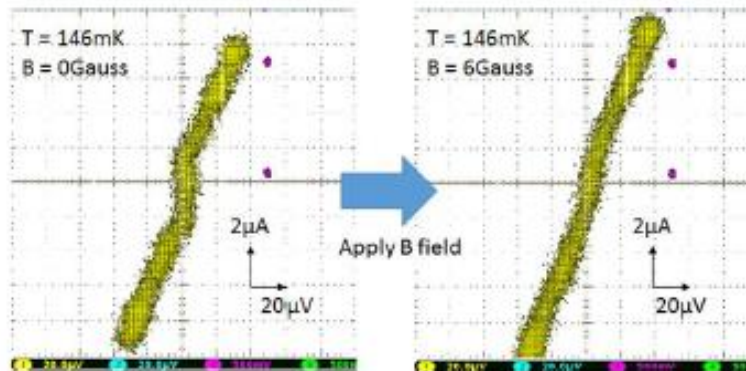
Hf-STJ with Improved Smoothness

200 μ square Hf-STJ with improved smoothness. Wire bonding readout line.

- Josephson current is 2 μ A.
- Effective energy gap $\Delta = 25\mu$ eV.
- Leakage current at 20 μ V is 7 μ A.

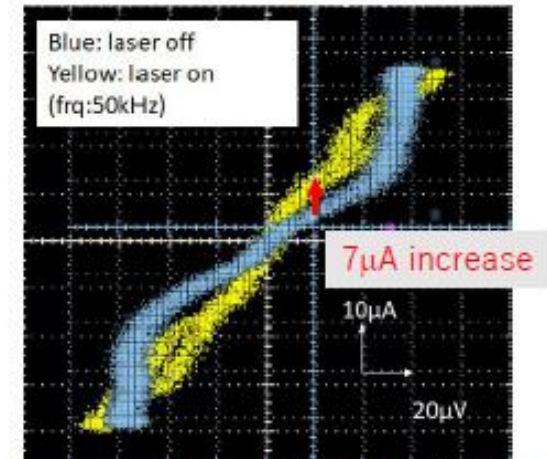


IV characteristic



IV characteristic
(near 0V, B=0Gauss)

IV characteristic
(near 0V, 6Gauss)

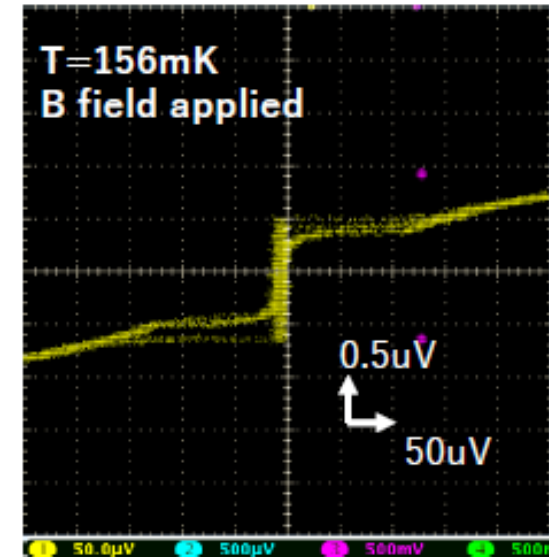
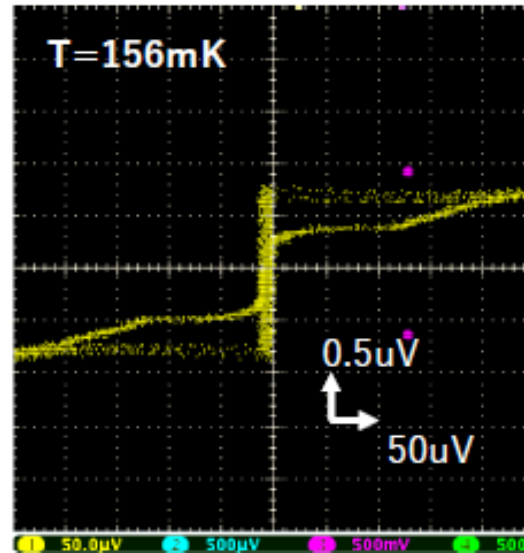
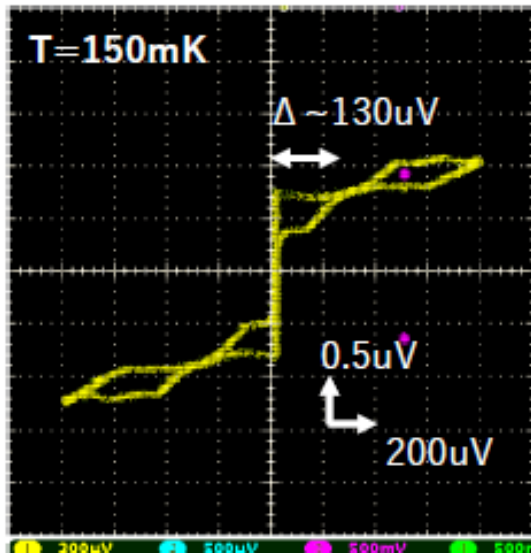


Response to visible ($\lambda=465$ nm) DC-like laser light
T = 140mK, 9Gauss B field is applied.

Small-size Hf-STJ with improved smoothness

10 μ -square Hf-STJ. Signal line was made by sputtered Nb line not by wire bonding.

- Josephson current is 0.7 μ A.
- Effective energy gap $\Delta = 130\mu\text{eV}$.
- Leakage current at 20 μV is 0.3 μA (1/24 of 200 μ -square Hf-STJ).



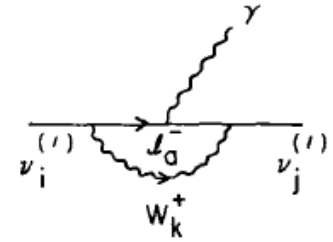
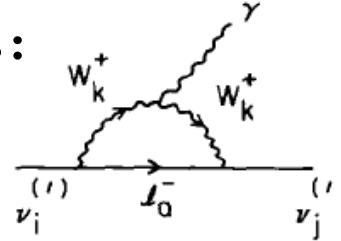
Neutrino Lifetime by Left-Right Symmetric Model

In the Left - Right Symmetric Model $SU(2)_L \otimes SU(2)_R \otimes U(1)$
 (PRL 38, 1252(1977), PRD 17, 1395(1978) NP B206, 359(1982)),

there are two Weak Boson mass eigenstates :

$$W_1 = W_L \cos \zeta - W_R \sin \zeta,$$

$$W_2 = W_L \sin \zeta + W_R \cos \zeta.$$



W_L and W_R are fields with pure V-A and V+A couplings, respectively, and ζ is a mixing angle.

$$\tau^{-1} = \frac{\alpha G_F^2}{128\pi^4} \left(\frac{m_3^2 - m_2^2}{m_3} \right)^3 \times |U_{32}|^2 |U_{33}|^2 \left[\frac{9}{64} (m_3^2 + m_2^2) \frac{m_\tau^4}{M_{W1}^4} \left(1 + \frac{M_{W1}^2}{M_{W2}^2} \right)^2 + 4m_\tau^2 \left(1 - \frac{M_{W1}^2}{M_{W2}^2} \right)^2 \sin^2 2\zeta \right],$$

where α is a fine structure constant, G_F is a Fermi coupling constant, m_τ , M_{W1} and M_{W2} are masses of τ , W_1 and W_2 , respectively.^{21,22)} U_{ij} is the (i, j)-th element of the Maki-Nakagawa-Sakata mixing matrix²³⁾ and we took $|U_{32}| = 1/\sqrt{2}$ and $|U_{33}| = 1/\sqrt{2}$.

$$\tau^{-1} = \frac{\alpha G_F^2}{128\pi^4} \left(\frac{\Delta m_{32}^2}{m_3} \right)^3 m_\tau^2 \sin^2 2\zeta$$

Using a lower mass limit $M(W_R) > 715 \text{ GeV}$, a mixing angle limit $\zeta < 0.02$, and $m_3 = 50 \text{ meV}$,

$$\tau = 1.5 \times 10^{17} \text{ year}$$

Measured neutrino lifetime limit $\tau < 3 \times 10^{12} \text{ year}$ from CIB results measured by COBE and AKARI

Other papers citing our JPSJ paper

PHYSICAL REVIEW D 88, 013019 (2013)

Radiative decays of cosmic background neutrinos in extensions of the MSSM with a vectorlike lepton generation

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An analysis of radiative decays of the neutrinos $\nu_j \rightarrow \nu_l \gamma$ is discussed in minimal supersymmetric standard model extensions with a vector like lepton generation. Specifically we compute neutrino decays arising from the exchange of charginos and charged sleptons where the photon is emitted by the charged particle in the loop. It is shown that while the lifetime of the neutrino decay in the Standard Model is $\sim 10^{43}$ yrs for a neutrino mass of 50 meV, the current lower limit from experiment from the analysis of the Cosmic Infrared Background is $\sim 10^{12}$ yrs and thus beyond the reach of experiment in the foreseeable future. However, in the extensions with a vectorlike lepton generation the lifetime for the decays can be as low as $\sim 10^{12} - 10^{14}$ yrs and thus within reach of future improved experiments. The effect of CP phases on the neutrino lifetime is also analyzed. It is shown that while both the magnetic and the electric transition dipole moments contribute to the neutrino lifetime, often the electric dipole moment dominates even for moderate size CP phases.

MSSM extension with a vectorlike lepton generation

$$\rightarrow \tau_\nu \sim 10^{12} \sim 10^{14} \text{ years}$$

MSSM extension model with a vectorlike lepton generation

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PHYSICAL REVIEW D 89, 055009 (2014)
Large neutrino magnetic dipole moments in MSSM extensions

Amin Aboubrahim,^{2,*} Tarek Ibrahim,^{1,2,†} Ahmad Itani,^{2,‡} and Pran Nath^{3,§}

$$SU(3)_C \times SU(2)_L \times U(1)_Y \quad Q = T_3 + Y$$

$$\psi_{iL} = \begin{pmatrix} \nu_{iL} \\ l_{iL} \end{pmatrix} \sim \left(1, 2, -\frac{1}{2}\right), \quad l_{iL} \sim (1, 1, 1), \quad (3)$$

$$\nu_{iL}^c \sim (1, 1, 0), \quad i = 1, 2, 3$$

$$\chi^c = \begin{pmatrix} E_L^c \\ N_L^c \end{pmatrix} \sim \left(1, 2, \frac{1}{2}\right), \quad E_L \sim (1, 1, -1), \quad \text{vectorlike lepton generation}$$

$$N_L \sim (1, 1, 0), \quad \text{V+A}^{(4)} \text{ interaction}$$

$$\begin{pmatrix} \nu_{\tau R} \\ N_R \\ \nu_{\mu R} \\ \nu_{e R} \end{pmatrix} = D_R^\nu \begin{pmatrix} \psi_{1R} \\ \psi_{2R} \\ \psi_{3R} \\ \psi_{4R} \end{pmatrix}, \quad \begin{pmatrix} \nu_{\tau L} \\ N_L \\ \nu_{\mu L} \\ \nu_{e L} \end{pmatrix} = D_L^\nu \begin{pmatrix} \psi_{1L} \\ \psi_{2L} \\ \psi_{3L} \\ \psi_{4L} \end{pmatrix}. \quad (17)$$

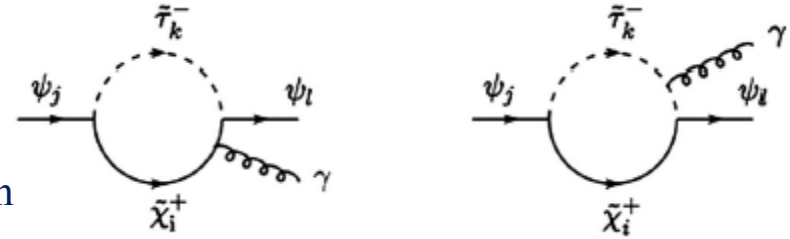
In Eq. (16) $\psi_1, \psi_2, \psi_3, \psi_4$ are the mass eigenstates for the neutrinos, where in the limit of no mixing we identify ψ_1 as the tau neutrino, ψ_2 as the heavier mass eigenstate, ψ_3 as the muon neutrino and ψ_4 as the electron neutrino. To make contact with the normal neutrino hierarchy we relabel the states so that

$$\nu_1 = \psi_4, \quad \nu_2 = \psi_3, \quad \nu_3 = \psi_1, \quad \nu_4 = \psi_2, \quad (18)$$

which we assume has the mass hierarchical pattern

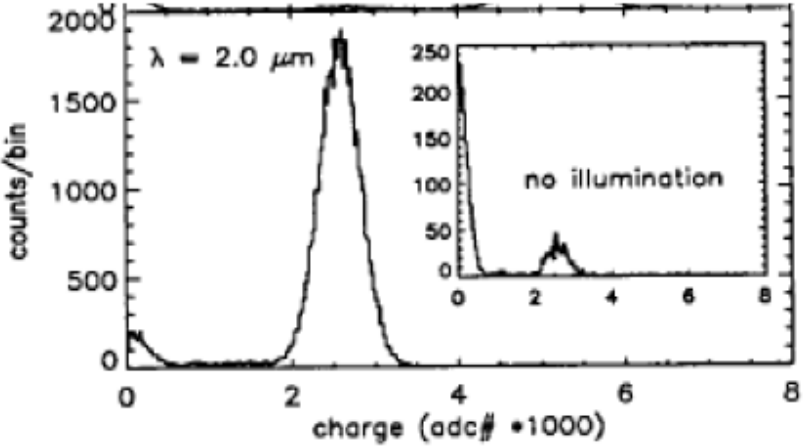
$$m_{\nu_1} < m_{\nu_2} < m_{\nu_3} < m_{\nu_4}. \quad (19)$$

$$-\mathcal{L}_{CC} = \frac{g}{2\sqrt{2}} W_\rho^\dagger \{ \bar{\nu}_\tau \gamma^\rho (1 - \gamma_5) \tau + \bar{\nu}_\rho \gamma^\rho (1 - \gamma_5) \mu + \bar{\nu}_e \gamma^\rho (1 - \gamma_5) e + \bar{N} \gamma^\rho (1 + \gamma_5) E \} + H.c. \quad (24)$$

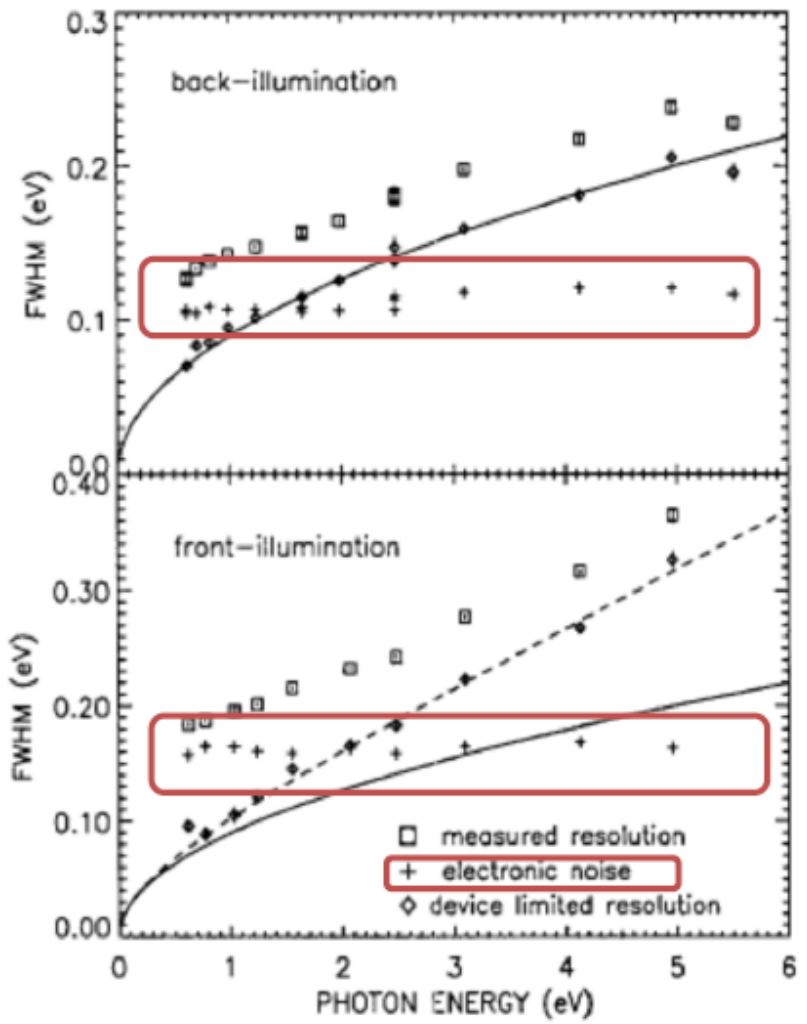


Neutrino mass eigenvalues (GeV)		$m_{\nu_3} = 5.2 \times 10^{-11}$
		$m_{\nu_2} = 9.2 \times 10^{-12}$
		$m_{\nu_1} = 9.7 \times 10^{-13}$
(i) $m_{\chi^\pm} = 256$ GeV	μ_2	1.2×10^{-10}
$m_{\tilde{\tau}} = 162$ GeV	μ_1	2.5×10^{-13}
	ν_3 lifetime	3.9×10^{14} yr
(ii) $m_{\chi^\pm} = 267$ GeV	μ_2	4.6×10^{-10}
$m_{\tilde{\tau}} = 202$ GeV	μ_1	1.3×10^{-12}
	ν_3 lifetime	2.5×10^{14} yr
(iii) $m_{\chi^\pm} = 268$ GeV	μ_2	2.2×10^{-10}
$m_{\tilde{\tau}} = 158$ GeV	μ_1	1.1×10^{-13}
	ν_3 lifetime	1.8×10^{14} yr
(iv) $m_{\chi^\pm} = 272$ GeV	μ_2	-7.6×10^{-10}
$m_{\tilde{\tau}} = 195$ GeV	μ_1	-1.3×10^{-13}
	ν_3 lifetime	8.8×10^{13} yr

STJ Energy Resolution for Near-Infrared Photon



- P. Verhoeve et. al 1997
- 30 μm sq. Ta/Al-STJ
 - $\Delta E \sim 130\text{meV}$ @ $E = 620\text{meV} (\lambda = 2\mu\text{m})$
 - Charge sensitive amplifier at room temp.
 - Electronic noise $\sim 100\text{meV}$



In sub-eV ~ several-eV region, STJ gives the best energy resolution among superconductor based detectors, but limited by readout electronic noise.