## "Neutrinos - experimental status and prospects: 3 flavour oscillations"

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Workshop on the Standard Model and Beyond

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## Plan for the lecture...

## Experimental view on data on neutrinos oscillations

- experimental information on number of neutrinos,
- Neutrino sources and measurement techniques
- How and what we measure to get oscillation parameters
- New information from present measurements
- What we know and what is missing
- Prospects for better data (oscillations)
....... I will not talk about sterile neutrino and doule $\beta$ decay searches, sorry..


## Neutrino?

The most inapprechensible component of matter
F. Reines: ,....the smallest part of reality ever invented by human ...."


- electric charge= 0
- Very hard to observe
$\rightarrow$ participates only in weak inter. play important role in the Standard Model (SM)

In SM was assumed, that $\boldsymbol{V}$ mass $=\mathbf{0}$

- appear in pairs with charged leptons
- neutrino type (flavour) is defined by leptons participating with it in interaction


## How Many Neutrinos?

Experimental result from LEP


$$
\begin{aligned}
& Z^{0} \rightarrow q \bar{q}(u \bar{u}, d \bar{d}, s \bar{s}, c \bar{c}, b \bar{b}) \\
& Z^{0} \rightarrow l \bar{l}\left(e^{-} e^{+}, \mu^{-} \mu^{+}, \tau^{-} \tau^{+}\right) \\
& Z^{0} \rightarrow v \bar{v}\left(\nu_{e} \bar{v}_{e}, \nu_{\mu} \bar{v}_{\mu}, \nu_{\tau} \bar{v}_{\tau}\right)
\end{aligned}
$$


$Z^{0}$ width measured contributions from quarks and leptons calculated
total width $\sim$ decay probability ( $\sim 1 /$ lifetime) partial width ~ branching rate (channel i)

$$
\begin{aligned}
& \Gamma_{Z}=\Gamma_{h a d}+3 \Gamma_{l}+N \Gamma_{V} \\
& N_{v}=2.99 \pm 0.02
\end{aligned}
$$

## Neutrino sources

## Natural



Cosmic rays $\rightarrow$ atmospheric neutrinos


## Man made neutrinos



Anti-neutrinos

## Registratuontecnilques

 differ depending on neutrino energies

## An overview of neutrino oscillations within 3-flavour picture

Phenomenon well understood by now

- Each flavour state is a linear combination of mass states:


Having long history and involving many experiments NOW

Atmospheric neutrino ~ First evidence of $v$ oscillation Prof. Kajita gave a talk on the "evidence for $v_{u}$ oscillation" at Neutrino 1998. (June $5^{\text {th }}$, already 20 years ago.)

$* U_{p} / D_{\text {own }}$ st. error for $\mu$-like
Prediction ( $\binom{$ flux calculation $\ldots \ldots \ldots 1 \%}{1 \mathrm{~km}$ rock above $5 \mathrm{k} \ldots \ldots .15 \%} 1.8 \%$
Data $\left(\begin{array}{l}\text { Energy cali. for } \uparrow \downarrow \cdots \\ \text { Non } \nu \text { Background } \\ \cdots . . . \\ 0.7 \% \\ <2 \%\end{array}\right) 2.1 \%$

Summary
Evidence for $\nu_{\mu}$ oscillations $\nu_{\mu} \rightarrow V_{\varepsilon} \quad 90 x_{C} . \mathrm{L}$.


- $\left\{\begin{array}{l}\sin ^{2} 2 \theta>0.8 \\ \Delta m^{2} \sim 10^{-3} \sim 10^{-2}\end{array}\right.$
(. $\nu_{\mu} \rightarrow \nu_{\tau}$ or $\left.\nu_{\mu} \rightarrow V_{s} ?\right)$


## Neutrino oscillations -

 experimental status and prospects- From sources to detectors (and in between)

- Neutrino oscillation was a surprise in $90^{\prime}$ th,
- now it is well established phenomenon and a lot of efforts are made to determine its parameters
- In future it can be a tool for
- beyond SM effects
- CP violation mechanism
- Understanding matter-antimatter asymmetry


## Neutirino oscillations - picture as of today

## FLAYOR

PMNS mixing matrix
$\left(\begin{array}{l}v_{e} \\ v_{u} \\ v_{\tau}\end{array}\right)=\left(\begin{array}{ccc}1 & 0 & 0 \\ 0 & \cos \theta_{23} & \sin \theta_{23} \\ 0 & -\sin \theta_{23} & \cos \theta_{23}\end{array}\right)\left(\begin{array}{ccc}\cos \theta_{13} & 0 & \sin \theta_{13} e^{-i 8} \\ 0 & 1 & 0 \\ -\sin \theta_{13} e^{-i \delta} & 0 & \cos \theta_{13}\end{array}\right)\left(\begin{array}{ccc}\cos \theta_{12} & \sin \theta_{12} & 0 \\ \sin \theta_{12} & \cos \theta_{12} & 0 \\ 0 & 0 & 1\end{array}\right)\left(\begin{array}{l}v_{1} \\ v_{2} \\ v_{3}\end{array}\right)$

CHOOZ,
DayaBay,
Reno,
DblChooz,
T2K
$\theta_{12}=34^{\circ} \pm 1^{\circ}$
$\theta_{23}=40^{\circ}+5^{\circ} /-2^{\circ}$
$\theta_{13}=9.1^{\circ} \pm 0.6^{\circ}!$

Based on PDG 2012
mixing angles, squared mass differences, CP violation phase - fundamental parameters of nature

Two free parameters for the three $\Delta \mathrm{m}^{2 \prime} \mathrm{~s}$. $\left(\Delta \mathrm{m}^{2}{ }_{31}=\Delta \mathrm{m}^{2}{ }_{21}+\Delta \mathrm{m}^{2}{ }_{32}\right)$


## First look at <br> two neutrino case





$$
\begin{aligned}
& v_{e}=\cos \vartheta v_{1}+\sin \vartheta v_{2} \\
& v_{\mu}=-\sin \vartheta v_{1}+\cos \vartheta v_{2}
\end{aligned}
$$



$$
\sin ^{2}\left(1.27 \Delta m^{2} L / E\right)=1
$$

so when we know $L$ and $E$ we can estimate for which mass difference experiment will be sensitive


$$
P\left(\nu_{\alpha} \rightarrow \nu_{\beta}\right)=\sin ^{2} 2 \theta \sin ^{2}\left(\frac{1.27 \Delta m^{2} L}{E_{v}}\right)
$$

V energy - E and distance L define range of sensitivity

|  | $\mathrm{E}_{v}(\mathrm{MeV})$ | $L(\mathrm{~m})$ | Range of $\Delta m^{2}$ |
| :--- | :---: | :---: | :---: |
| Supernovae | $<100$ | $>10^{19}$ | $10^{-19}-10^{-20}$ |
| Solar | $<14$ | $10^{11}$ | $10^{-10} ? ? ?$ |
| Atmospheric | $>100$ | $10^{4}-10^{7}$ | $10^{-3}-10^{-4}$ |
| Reactor | $<10$ | $<10^{6}$ | $10^{-5}$ |
| Accelerator - SB | $>100$ | $10^{3}$ | $10^{-1}$ |
| Accelerator - LB | $>100$ | $<10^{6}$ | $10^{-3}$ |

Two mass differences and three neutrino types oscillatimg
$\rightarrow$ full description in $3 \times 3$ oscillation matrix,
$\rightarrow$ studies in many experiments to get full picture....

## But: $\Delta m^{2}{ }_{12} \sim 10^{-5}$, not $10^{-10}$ and solar and reactor oscillations are described by the same $\Delta m^{2}$

 How to get it consistent?Need to consider matter effects (MSW effects): propagation in matter neutrinos are not all equal
(as thy are in the vacuum)

Additional term in the potential modifies oscillation probabiities, $\Delta m^{2}$ effective is introduce for maximal effect we have condition:

$$
\Delta m_{\text {matter }}^{2}=\sqrt{\left(\Delta m^{2} \cos 2 \theta-A\right)^{2}+\left(\Delta m^{2} \sin 2 \theta\right)^{2}}
$$

Knowing electron density we can define $m_{1}, m_{2}$ mass odrering

## What we need to detect neutrino?

- Produce particle which is visible in the detector
- It happens when:

1. Neutrinos kicks off electron (or nucleon) from detector material

2. Neutrino interacts in CC mode and produces charged lepton which is visible in the detector
It can happened on electron or (with Higher probability) on nucleon (if there Is enough energy to produce more massive charged lepton and teke nucleon out of nucleus.

## How to detect neutrinos <br> - i.e. products of their interactions?

## Typical detection techniques:


$>$ Radiochemical $n \rightarrow p$ or $p \rightarrow n$ and nucleus changes, count them is counting $n$ inter. (no additional inform.)
>scintillators - record scintillation light of produced charged particle (electron or proton $\cdot \cdot$ ) - register time and energy > water (light or heavy) - record Cherenkov light - register direction, time and energy
$>$ liquid argon - record drifting electrons from ionization >iron slabs as targets and various detectors to record exiting particles, includes emulsion

- Go underground to reduce background
$>$ Make your detector big
$\rightarrow$ use large volumes of cheap materials


## measurenents in sectors

## what is neasured, where and status

## FLAYOR

PMNS mixing matrix
NASS

$$
\left(\begin{array}{l}
v_{e} \\
v_{\mu} \\
v_{\tau}
\end{array}\right)=\left(\begin{array}{ccc}
1 & 0 & 0 \\
0 & \cos \theta_{23} & \sin \theta_{23} \\
0 & -\sin \theta_{23} & \cos \theta_{23}
\end{array}\right)\left(\begin{array}{ccc}
\cos \theta_{13} & 0 & \sin \theta_{13} e^{-i \delta} \\
0 & 1 & 0 \\
-\sin \theta_{13} e^{-i \delta} & 0 & \cos \theta_{13}
\end{array}\right)\left(\begin{array}{ccc}
\cos \theta_{12} & \sin \theta_{12} & 0 \\
\sin \theta_{12} & \cos \theta_{12} & 0 \\
0 & 0 & 1
\end{array}\right)\left(\begin{array}{l}
v_{1} \\
v_{2} \\
v_{3}
\end{array}\right)
$$

„atmospheric"
Sector
2-3

Sector 1-3
"solar"
sector 1-2
mixing angles, squared mass differences, CP violation phase - fundamental parameters of nature

Measurements

## information needed to understand oscillations:

principle of the measurement:
$\rightarrow$ Predict how many interactions should be seen in the detector
$\rightarrow$ Compare with what is seen
if not consistent - take oscillation formula and modify parameters

In leading order the analysis can be done for 2X2 cases (solar and atmospheric), first results
With better precision mixing part (1-3) becomes important 3 flavour analysis is required

First approach - results leading to dicovery of neutrino oscillations $\rightarrow$ Nobel Prize 2015 (SK and SNO)

## Improving oscillation parameters what is a goal, how it is done?

- To get oscillation parameters we need to fit probability of disappearance and/or appearance as a function of L/E
- Input:
- observed number of interactions (of given neutrino flavour defined by produced charged lepton)
- predicted number of events (from oscillation probability, depends of parameters)

What needs to be done?

- Improve statistics of interactions observed "after oscillations"
$\rightarrow$ done by larger detectors, long time, better selection
- Improve predictions $\rightarrow$ understand source (Sun, reactor, beam..) and measure "before oscillation" and extrapolate


## What we know now

## from recent measurements

 about solar ( $1-2$ ),atmospheric $(2-3)$ and sub-leading (1-3) neutrino oscillations? Start with sector 1-2

$$
\left(\begin{array}{l}
v_{e} \\
v_{\mu} \\
v_{\tau}
\end{array}\right)=\left(\begin{array}{ccc}
1 & 0 & 0 \\
0 & \cos \theta_{23} & \sin \theta_{23} \\
0 & -\sin \theta_{23} & \cos \theta_{23}
\end{array}\right)\left(\begin{array}{ccc}
\cos \theta_{13} & 0 & \sin \theta_{13} e^{-i \delta} \\
0 & 1 & 0 \\
-\sin \theta_{13} e^{-i \delta} & 0 & \cos \theta_{13}
\end{array}\right) \begin{array}{ccc}
\cos \theta_{12} & \sin \theta_{12} & 0 \\
\sin \theta_{12} & \cos \theta_{12} & 0 \\
0 & 0 & 1
\end{array}\left(\begin{array}{l}
v_{1} \\
v_{2} \\
v_{3}
\end{array}\right)
$$



## Solar neutrino spectra



## Why it is difficult?

$\rightarrow$ Signal is low energy electron (around MeV)
$\rightarrow$ and large backgrounds from radioactive decays all around and in the detector

Expected rate in Borexino

## What are the expectations ?



MC input counting rates are quoted in $\mathrm{cpd} / 100 \mathrm{t}$

## and these are the result of measurements Phase I/Phase II




|  | Earlier result (cpd/100t) | Actual result (cpd/100t) | Precision |
| :---: | :---: | :---: | :---: |
| pp | 144さ13さ10 | $134 \pm 10^{+6}{ }_{-10}$ | 11\% |
| ${ }^{7} \mathrm{Be}^{(*)}$ | $46.0 \pm 1.5^{+1.6}{ }_{-1.5}$ | $46.3 \pm 1.1^{+0.4}{ }_{-0.7}$ | 4.7-2.7\% |
| pep | $3.1 \pm 0.6 \pm 0.3$ | $\begin{gathered} (\mathrm{HZ}) \\ 2.43 \pm 0.36^{+0.15} \\ (\mathrm{LZ})_{-0.22} \\ 2.65 \pm 0.36^{+0.15} \end{gathered}$ | 22 $\rightarrow$ 16\% |




|  | Earlier result (cpd/100t) | Actual result (cpd/100t) |  |
| :---: | :---: | :---: | :---: |
| pp | $144 \pm 13 \pm 10$ | $134 \pm 10^{+6}{ }_{-10}$ | 11\% |
| ${ }^{7} \mathrm{Be}^{(*)}$ | $46.0 \pm 1.5^{+1.6}{ }_{-1.5}$ | $46.3 \pm 1.1^{+0.4}{ }_{-0.7}$ | $4.7 \rightarrow 2.7 \%$ |
| pep | $3.1 \pm 0.6 \pm 0.3$ | $\begin{array}{cc} (\mathrm{HZ}) & \\ 2.43 \pm 0.36^{+0.15} & -0.22 \\ (\mathrm{LZ}) & \\ 2.65 \pm 0.36^{+0.15} & \\ & -0.24 \end{array}$ | $22 \rightarrow 16 \%$ <br> NEW: 5 sigma evidence for |




| Detector | Depth (m) | Type | Mass (t) | Live period | Location |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Super-K | $\sim 1000$ | Water | 22.5k | 1996-present | Japan |
| Borexino | $\sim 1400$ | LS | 278 | 2007-present | Italy |
| SNO+ | ~2000 | LS | 800 | July, 2018 | Canada |
| JUNO | $\sim 700$ | LS | 20k | Near future | China |
| Hyper-K | $\sim 600$ | Water | 187k | Future | Japan |
| DUNE | $\sim 1500$ | LAr | 34kt | Future | USA |
| Theia | ? | WbLS | 25k | Future | USA |
| Jinping | $\sim 2400$ | Slow LS | 2 k | Future | China |
| SNO SK <br> HIX <br> Wat |  | Borexi SNO+, DUNE LS, | JUNO <br> LAr? | Theia Jinping WLS Slow Mr nax |  |

## Looking at the detectors....



SNO+: LS


Theia: WbLS


## Future:

Total solar energy: pp chain (99\%) and CNO cycle (1\%)


Key to the Solar metallicity : CNO flux


Predictions: HZ ~5 cpd/100 t LZ ~3 cpd/100 t

## Search for neutrino/antineutrino in coincidence with 2350 GRB observed during 8 years of the Borexino data taking Astropart. Phys. 86, p. 11 (2017)

## Same sector (1-2) but for anti-neutrinos Kamland



70 GW (~12 \% of global nuclear power)
at $\mathrm{L} \sim(175 \pm 35) \mathrm{km}$
effective baseline : ~ $\mathbf{1 8 0} \mathbf{~ k m}$


## Reactor neutrinos same energy range, also electron neutrinos

Historicaly - this is where neutrinos were discovered (Reines - Cowan experiment)



Inverse $\beta$ decay (IBD)

Prompt signal from positron capture
Delayed photons from neutron capture


Observed neutrino energies (reactor) convolution of:

- Flux of anti-neutrinos from rector

Cross section for interaction

## Kamland - exposure of 5780 kton-yr



Obs/exp $=0.631+/-0.014$ (stat) +/- 0.027 (syst)
Corresponding to
exclusion of non-oscillation at 10.2 o CL

- Observed events 2611
- Expected events $3564+/-145$
- Bgr 364+/-30 (accidentals 125)




## Reactor neutrinos probe sector or 1-3 depending on the distance



## Started with measurements in Super-Kamiokande

Now includes data from
Long Base Line experiments
Atmespheric neutrinos in traditional detectors
Neutrino telescopes
$\left(\begin{array}{l}v_{e} \\ v_{\mu} \\ v_{\tau}\end{array}\right)=\left[\begin{array}{ccc}1 & 0 & 0 \\ 0 & \cos \theta_{23} & \sin \theta_{23} \\ 0 & -\sin \theta_{23} & \cos \theta_{23}\end{array}\left(\begin{array}{ccc}\cos \theta_{13} & 0 & \sin \theta_{13} 3^{-i \delta} \\ 0 & 1 & 0 \\ -\sin \theta_{13} e^{-i \delta} & 0 & \cos \theta_{13}\end{array}\right)\left(\begin{array}{ccc}\cos \theta_{12} & \sin \theta_{12} & 0 \\ \sin \theta_{12} & \cos \theta_{12} & 0 \\ 0 & 0 & 1\end{array}\right)\left(\begin{array}{l}v_{1} \\ v_{2} \\ v_{3}\end{array}\right)\right.$

## Technology yery important in neutrino studies

Surie K aniokande

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## Cherenkov radiation

Charge particle moving in the media faster than light in this media emits electromagnetic radiation
$\rightarrow$ analogy to the ultrasonic plane producing sound wave

Sensitive to CC
or NC with charge particle production
The light cone is produced
Energy emitted can be summed up from detected light Direction can be determnied from time signal reaches walls
Position wher the emmision starts (vertex) is the interaction pont where charge particle is produced

## NEUTRINOS AT T2K-SK


$\nu_{\ell}+n \rightarrow \ell^{-}+p \quad \bar{\nu}+p \rightarrow \ell^{+}+n$
Signal

- Single $\mu$ /e-like ring
- Erec by energy/direction of lepton, 2-body kinematics
$\nu_{\ell}+(n / p) \rightarrow \nu_{\ell}+(n / p)+\pi^{0}$
Backgrounds
$\nu_{\ell}+(n / p) \rightarrow \ell^{-}+(n / p)+\pi$
- $\pi^{0} \rightarrow \gamma+\gamma$ : ring counting, 2-ring reconstruction
- $\gamma$ misidentified as $e$ from $v_{e}$ CCQE
- powerful rejection capabilities reduce this by $\mathrm{O}\left(10^{2}\right)$
- Ring counting, decay electron cut to reject nCCQE
- Pure $v_{e}$ samples (S/B~10 at peak) obtained with high efficiency



## Particle ID using ring shape \& opening angle




Probability that $\mu$ is mis-identified as electron is $\sim 1 \%$

## How neutrino experiments turned to high precision phase?

Example from T2K
$\rightarrow$ Artificial dedicated neutrino beams with high intensities
$\rightarrow$ Precise information about $\pi$ and K mesons production is required $\rightarrow$ NA61 at CERN

Proton beam on target
$\rightarrow$ Produces $\pi$ and K

$$
\pi^{+} \rightarrow \mu^{+}+v_{u}
$$

$$
\begin{aligned}
& \mu^{+} \rightarrow e^{+} \bar{v}_{u} v_{e} \\
& K^{+} \rightarrow \pi^{0} e^{+} v_{e}
\end{aligned}
$$

J-PARC
Super-K
30 GeV
proton beam
target \& 3horns
decay volume
precisely tuned with


## Maximal effect

- Also lower background (due to smaller number
of high energy NC.
possibly similar to $v_{e} \mathrm{CC}$ )



## Most precise measurement of $\Delta m_{23}, \theta_{23}$






## Present status in sector 2-3:



Neutrino 2018
Results differ slightly for NH and IH

No strong preference

## Sector 1-3

$\left(\begin{array}{l}v_{e} \\ v_{\mu} \\ v_{\tau}\end{array}\right)=\left(\begin{array}{cccccc}1 & 0 & 0 & \cos \theta_{13} & 0 & \sin \theta_{13} e^{-i \delta} \\ 0 & \cos \theta_{23} & \sin \theta_{23} \\ 0 & -\sin \theta_{23} & \cos \theta_{23}\end{array}\right)\left(\begin{array}{c}0 \\ -\sin \theta_{13} e^{-i \delta} \\ 0\end{array}\right)\left(\begin{array}{ccc}\cos \theta_{12} & \sin \theta_{12} & 0 \\ \sin \theta_{12} & \cos \theta_{12} & 0 \\ 0 & 0 & 1\end{array}\right)\left(\begin{array}{l}v_{1} \\ v_{2} \\ v_{3}\end{array}\right)$

Measurements of $\sin ^{2} \Theta_{13}$ in $v_{e}$ disappearance

## of reactor $v$

and $v_{\mathrm{e}}$ appearance (in muon neutrino beam)

Tests of CP violation - determination of $\delta_{\mathrm{CP}}$
... ways of measuring $\Theta_{13}$

- disappearance -> reactor experiments

$$
\longrightarrow P_{\text {sur }} \approx 1-\sin ^{2} 2 \theta_{13} \sin ^{2}\left(1.267 \Delta m_{31}^{2} L / E\right)
$$

$$
\bar{\nu}_{e} \rightarrow \bar{\nu}_{e}
$$

## Energy ~ a few MeV

Distance ~ a few km

- appearance -> long-baseline experiments with $\mathrm{v}_{\mu}$ beam

$$
\nu_{\mu} \rightarrow \nu_{e}
$$

$$
P\left(v_{\mu} \rightarrow v_{e}\right)=\sin ^{2} 2 \theta_{13} \sin ^{2} \theta_{23} \sin ^{2}\left(1.27 \Delta m_{23}^{2} L / E\right)
$$

Second order terms depend on $\bar{\delta}$ and mass hierarchy

> Energy ~ a few GeV Distance ~ a few hundred km

Sector 1-3 Daya Bay reactor data
most precise measurements

## Results with 1958 Days


far and near detectors



## Oscillation Results with 1958 Days

- See a clear rate and shape distortion that fits well to the 3-neutrino hypothesis:




## measurements in 1-3 sector

electron
anti-neutrino
disappearance (reactor)

## Double Chooz

$\mathbf{T n C} \mathbf{M D}(\mathbf{n}-\mathbf{H} \oplus \mathbf{n}-\mathbf{C} \oplus \mathbf{n}-\mathbf{G d})$

## Daya Bay

PRD 95, 072006 (2017) n-Gd PRD 93, 072011 (2016) n-H

## RENO

PRL 116, 211801(2016) n-Gd
electron neutrino appearance In $v_{\mu}$ beam
$\rightarrow$ Sensitive to CP violation

## T2K

PRD 96, 092006 (2017)

$$
\Delta \mathrm{m}_{32}^{2}>0
$$

$$
\Delta \mathbf{m}_{32}^{2}<0
$$

Total Uncertainty Statistical Uncertainty $\sin ^{2}\left(2 \theta_{13}\right)=0.105 \pm 0.014$


Marginalisation ( $\delta_{\mathbf{C P}}, \theta_{23}$ )


Now move to this measurement

## First observation of expected transition

 appearance $v_{\mu} \rightarrow v_{e}$ sector 1-3 expected background: $4.64 \pm 0.53$ observed (2013):
## 28 events

$7.3 \sigma$ significance for non-zero $\theta_{13}$
How this observation was done?


Reconstructed neutrino energy

~400 collaborators 59 institutions

## $v_{e}$ CCQE


$v_{e} \mathrm{CC1m}$


In neutrino beam - observation Of 75 events with electron (CCQE) and additional 15 events with electron and pion (CC1 $\pi$ )

Comparison of $v$ and $\bar{v}$

## tells us about CP violation

In anti-neutrino beam - observed by now 9 events, not enough to claim that appearance Is observed, need more data (expected 6.5 without oscillation )

# From this data $\sin ^{2} \Theta_{13}$ and also CP violation can be estimated 

## DATA FIT

T2K Run 1-9c Preliminary


## Oscillation fits

## Also data from NOVA

## - PVC extrusions + Liquid Scintillator

- Layered planes of orthogonal views with 6-cm cells. Readout via WLS fibers to APDs.
« $0.15 X_{0}$ per layer, excellent for e-identification.


## Liquid scintillator segmented detector -

## 3D schematic of NOvA particle detector




FC Gat If ed vill ksil 5 c witsisr


NOVA EVENT TOPOLOGIES

$$
\pi^{0}+\pi+p
$$



## M. Sanchez - Neutrino 2018

## $>4 \sigma$ evidence of electron

## antineutrino appearance



$e+p$

NC Signal or Background


## Whatis next?

> Unknown

CPV
Unknown
$\delta \neq 0, \pi ?$
$m_{3} \gtrless m_{2} ?$
$\theta_{23} \gtreqless 45^{\circ} ?$

Differences in neutrino and antineutrino oscillation probabilities

Changes the contribution from matter effects (important for neutrinos travelling through dense matter e.g through Earth)

Additional source of degeneracies

Measurement strategies (for LBL):
An unknown hierarchy usually leads to a reduced ability to observe CP violation

- Looking for appearance

$$
P\left(v_{\mu} \rightarrow v_{e}\right) \text { vs. } P\left(\bar{v}_{\mu} \rightarrow \bar{v}_{e}\right)
$$

- The longer the baseline the better (matter effects!)
- Study more than one oscillation maximum to disentangle the effects


## Mass hierarchy and matter effects

- In the Sun oscillations happen in dense matter
$\rightarrow$ MSW effect - matter effect of electron density
Resonance enhancement appears at specific energies
(It depends on $\Delta m^{2}$ and electron density)
$\rightarrow$ for solar $v$ we observe resonance around 10 MeV
- From that we know that $\mathrm{m}_{1}<\mathrm{m}_{2}$
- position of $m_{3}$ is not known
$\rightarrow$ open question - two options



## CPV and MF

In long baseline neutrino experiments
$\Rightarrow$ Many contributions, for precisions all need to be considered
$P\left(\nu_{\mu} \rightarrow \nu_{e}\right)=4 C_{13}^{2} S_{13}^{2} S_{23}^{2} \cdot \sin ^{2} \Delta_{31} \quad$ leading term
CP conserving

$$
+8 C_{13}^{2} S_{12} S_{13} S_{23}\left(C_{12} C_{23} \cos \delta-S_{12} S_{13} S_{23}\right) \cdot \cos \Delta_{32} \cdot \sin \Delta_{31} \cdot \sin \Delta_{21}
$$

$-8 C_{13}^{2} C_{12} C_{23} S_{12} S_{13} S_{23} \sin \delta \cdot \sin \Delta_{32} \cdot \sin \Delta_{31} \cdot \sin \Delta_{21}$ CP violating
$+4 S_{12}^{2} C_{13}^{2}\left(C_{12}^{2} C_{23}^{2}+S_{12}^{2} S_{23}^{2} S_{13}^{2}-2 C_{12} C_{23} S_{12} S_{23} S_{13} \cos \delta\right) \cdot \sin ^{2} \Delta_{21}$
$-8 C_{13}^{2} S_{13}^{2} S_{23}^{2} \cdot \frac{a L}{4 E_{\nu}}\left(1-2 S_{13}^{2}\right) \cdot \cos \Delta_{32} \cdot \sin \Delta_{31}$
$+8 C_{13}^{2} S_{13}^{2} S_{23}^{2} \frac{a}{\Delta m_{31}^{2}}\left(1-2 S_{13}^{2}\right) \cdot \sin ^{2} \Delta_{31}$, matter effects
$C_{i j}, S_{i j}, \Delta_{i j}$
$\cos \theta_{i j}, \sin \theta_{i j}, \Delta m_{i j}^{2} L / 4 E_{\nu}$

## Best information we can get...

- Combined analysis of long base line, solar, reactor, atmespheric neutrino and neutrino telescope
- oscillations in appearance and
- disappearance channels for
- neutrinos and anti-neutrinos
- gives sensitivity to all parameters
- Including CP violating phase


| parameter | best fit $\pm 1 \sigma$ | $3 \sigma$ range |  |
| :---: | :---: | :---: | :---: |
| $\Delta m_{21}^{2}\left[10^{-5} \mathrm{eV}^{2}\right]$ | $7.55_{-0.16}^{+0.20}$ | 7.05-8.14 | 2.4\% |
| $\left\|\Delta m_{31}^{2}\right\|\left[10^{-3} \mathrm{eV}^{2}\right](\mathrm{NO})$ | $2.50 \pm 0.03$ | 2.41-2.60 |  |
| $\left\|\Delta m_{31}^{2}\right\|\left[10^{-3} \mathrm{eV}^{2}\right]$ (IO) | $2.42_{-0.04}^{+0.03}$ | 2.31-2.51 | 1.3\% |
| $\sin ^{2} \theta_{12} / 10^{-1}$ | $3.20_{-0.16}^{+0.20}$ | 2.73-3.79 | 5.5\% |
| $\sin ^{2} \theta_{23} / 10^{-1}(\mathrm{NO})$ | $5.477_{-0.30}^{+0.20}$ | 4.45-5.99 | 4.7\% |
| $\sin ^{2} \theta_{23} / 10^{-1}$ (IO) | $5.51{ }_{-0.30}^{+0.18}$ | 4.53-5.98 | 4.4\% |
| $\sin ^{2} \theta_{13} / 10^{-2}(\mathrm{NO})$ | $2.160_{-0.069}^{+0.083}$ | 1.96-2.41 |  |
| $\sin ^{2} \theta_{13} / 10^{-2}(\mathrm{IO})$ | $2.220_{-0.076}^{+0.074}$ | 1.99-2.44 | 3.5\% |
| $\delta / \pi(\mathrm{NO})$ | $1.32_{-0.15}^{+0.21}$ | 0.87-1.94 | 10\% |
| $\delta / \pi$ (IO) | $1.56{ }_{-0.15}^{+0.13}$ | 1.12-1.94 | 9\% |

## Global fit before Neutrino2018



- T2K, NOvA and Super-K prefer $\pi<\delta<2 \pi$ (as well as NO)
- The combination of LBL and Super-K enhances rejection against $\delta=\pi / 2$
- From the global analysis, $\delta=\pi / 2$ is disfavoured at $4.8 \sigma$ (6.1 $\sigma$ ) for NO (IO)

Difference in \# of electron events:

$$
\begin{array}{rlrl}
\Delta_{e} \equiv \frac{N_{e}}{N_{e}^{0}} \cong \Delta_{1}\left(\theta_{13}\right) & & \text { Matter effect } \\
& +\Delta_{2}\left(\Delta m_{12}^{2}\right) & & \text { Solar term } \\
& +\Delta_{3}\left(\theta_{13}, \Delta m_{12}^{2}, \underline{\delta}\right. & & \text { Interference }
\end{array}
$$

- This brings sensitivity to mass hierarchy and CP violation
- this will be improved with better

neutron
detection (Ga)




Perspectives 101 iviass Firerarchy
$\mathbf{P}\left(\bar{\nu}_{e} \rightarrow \bar{\nu}_{e}\right)=1-\cos ^{4} \theta_{13} \sin ^{2} 2 \theta_{12} \sin ^{2} \Delta \mathrm{~m}_{21}^{2} \frac{\mathrm{~L}}{4 \mathrm{E}}-\sin ^{2} 2 \theta_{13}\left(\cos ^{2} \theta_{12} \sin ^{2} \Delta \mathrm{~m}_{31}^{2} \frac{\mathrm{~L}}{4 \mathrm{E}}+\sin ^{2} \theta_{12} \sin ^{2} \Delta \mathrm{~m}_{32}^{2} \frac{\mathrm{~L}}{4 \mathrm{E}}\right)$
$\approx 1-\cos ^{4} \theta_{13} \sin ^{2} 2 \theta_{12} \sin ^{2} \Delta \mathrm{~m}_{21}^{2} \frac{\mathrm{~L}}{4 \mathrm{E}} \quad \sin ^{2} 2 \theta_{13} \sin ^{2} \Delta \mathrm{~m}_{e e}^{2} \frac{\mathrm{~L}}{4 \mathrm{E}} \quad$,for $\quad \Delta \mathrm{m}_{12}^{2} \ll \Delta \mathrm{~m}_{32}^{2}$

## JUNO Liquid Scintillator Vacuum oscillation probability $\mathrm{P}\left(v_{f}->v_{e}\right)$

- Energy resolution 3\%/sqrt(E)
- Mass 20 kton
- Calibration <1\%
- 2021 - detector redy - data taking
- 100 k events in 6 years



## Sensitivity to mass ordering in neutrino telescopes

## matter induced transition appear

- For neutrinos in normal mass ordering
- For anti-neutrinos for inverted mess ordering

as fluxes and cross-sections for $v$ and $\bar{v}$ differ expectation for differential distribution on $\cos \Theta-\mathrm{E}_{v}$ plane allows determination of mass order
possiliblity to meaureure:
PINGU - within IceCube ORCA - within KM³-net




## Long Baseline Fufure

DUNE, US
SANFORD LAB
-年
Lar-TPC


Long term
ie. after/around 2025


Hyper-Kamiothande,


## liquid argon TPC technique, used first time in ICARUS at CNGS beam from CERN



Very good particle ID, energy resolution and "bubble chamber like" picture Of the interaction. Technique developing very fast and promising for large Scale detectors

Prospect for measurements after 2025

Sensitivity to CP Violation, after 300 kt-MW-yrs (3.5+3.5 yrs x 40kt @ 1.07 MW)

## Dune with 40 ktons optimized beam

In both experiments more goals than oscillations ....


## sensitivity for Hyper-Kamiokande

(Bands represent range of beam configurations)




## Summary:

Precision on neutrino mixing parameters is reaching \% level, Some open questions could be sorted out soon Measurement of CP violation parameter from single experiment may need to wait for next generation experiments

## PLEASE CONTINUE TO ENJOY NEUTRINO OSCILLATIONS $\wedge$

