

Composite Higgs Phenomenology

Gautam Bhattacharyya

Saha Institute of Nuclear Physics, Kolkata

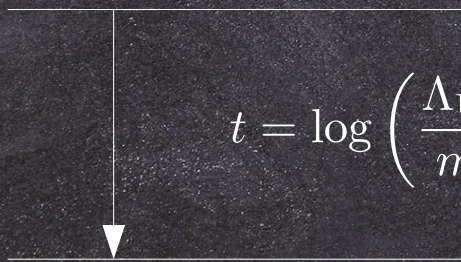
(w/ Avik Banerjee, Nilanjana Kumar, Tirtha Sankar Ray)

arXiv: 1703.08011, arXiv: 1712.07494

- *The idea and model building*
 - *Constraints on parameters*
 - *Fine-tuning of parameters*

How different from Technicolor?

- Generation of new scale via dimensional transmutation



$$t = \log \left(\frac{\Lambda_{UV}}{m_*} \right) \propto \frac{16\pi^2}{g_{UV}^2}$$

$$m_*^2 = \Lambda_{UV}^2 \exp \left(-16\pi^2 / g_{UV}^2 \right)$$

- **Technicolor:** Strongly coupled gauge group through slow running generates TeV scale
- Unacceptably large S parameter. $H^\dagger W_{\mu\nu} B^{\mu\nu} H \Rightarrow S \sim \frac{v^2}{f_\pi^2} \sim 1$
- **Composite Higgs:** Construct a theory for $v \ll f_\pi (\equiv f)$
- Unlike in TC, strong dynamics in composite Higgs doesn't participate directly in EWSB, only provides a set of pNGBs.

Modification of gauge and Yukawa couplings

- Nonlinear realization leads to higher dimensional operators

- Gauge scalar coupling

$$L_{\text{kin}} = |\partial_\mu H|^2 + \frac{c_H}{2f^2} |\partial_\mu (H^\dagger H)|^2 + \dots$$

$$L_{\text{gauge}} = \frac{g^2}{2} (H^\dagger H) \left(W^\mu W_\mu + \frac{1}{2C_w^2} Z^\mu Z_\mu \right)$$

$$\Rightarrow L_{\text{kin}}^{\text{canonical}} = \frac{1}{2} (\partial_\mu h_{125})^2 \quad \text{where} \quad h_{125} \equiv h \sqrt{1 + c_H \frac{v^2}{f^2}}$$

$$g_{hVV} \simeq g_{hVV}^{\text{SM}} \sqrt{1 - c_H \frac{v^2}{f^2}}$$

- Yukawa coupling

$$L_{\text{Yuk}} = -Y_f^{\text{SM}} \bar{Q}_L H u_R - \Delta Y_f^{\text{SM}} \frac{H^\dagger H}{f^2} \bar{Q}_L H u_R \Rightarrow -Y_f \bar{t}_L t_R h_{125}$$

$$Y_f \equiv Y_f^{\text{SM}} \left[1 + \left(\Delta - \frac{1}{2} c_H \right) \frac{v^2}{f^2} \right]$$

Minimal composite Higgs

$G = \text{SO}(5)$, $H = \text{SO}(4)$, G/H : 4 pNGBs \leftarrow 4 d.o.f for Higgs doublet

Construct $\Sigma = \exp\left(i\frac{\sqrt{2}}{f}\pi^{\hat{a}}T_{\hat{a}}\right)\Sigma_0$ where $\Sigma_0 = (0\ 0\ 0\ 0\ f + \sigma)^T$

Unitary gauge: $\pi_1 = \pi_2 = \pi_3 = 0$, $\pi_4 = h \Rightarrow \pi \equiv \sqrt{\pi_i^2} = h$

$\Rightarrow \Sigma = f(0\ 0\ 0\ S_h\ C_h)^T$ where $S_h \equiv \sin(h/f)$ $C_h \equiv \cos(h/f)$

$$L_{\text{kin}} = \frac{1}{2}(\partial_\mu \Sigma)^2 = \frac{1}{2} \frac{1}{\left(1 - \frac{h^2}{f^2}\right)} (\partial_\mu h)^2$$

Gauge and Yukawa interaction in a part of G breaks the pNGB shift symmetry. Then the Higgs develops a potential and a vev.

$$L = \frac{1}{2}(\partial_\mu h_{125})^2 + \sqrt{1 - \frac{v^2}{f^2}} g_{hVV}^{\text{SM}} h_{125} V_\mu V_\mu$$

$c_H = 1$

Yukawa couplings for $SO(5) / SO(4)$

- Left and right-handed top quark in vector 5-plet of $SO(5)$.
- Under $SO(4) [SU(2) \times SU(2)]$ $5 = 1 + 4 = (1, 1) + (2, 2)$

Construct $Q_{t_L}^{(5)} = \left[(Q_{3L})_{2,2}, 0 \right]^T = \frac{1}{\sqrt{2}} (ib_L, b_L, it_L, -t_L, 0)^T$

and $T_{t_R}^{(5)} = [0, 0, 0, 0, t_R]^T$

Yukawa invariant

$\Sigma^T Q_{t_L}^{(5)} T_{t_R} \Sigma$ ($\bar{5}5\bar{5}5$)

$\xi \equiv \frac{v^2}{f^2}$

$L_{\text{Yuk}} = \Pi_{LR}(q^2) S_h C_h \bar{t}_{RtL} \equiv m_t(h) \bar{t}_{RtL} = \left[m_t + \frac{m_t}{v} \frac{1-2\xi}{\sqrt{1-\xi}} h_{125} \right] \bar{t}_{RtL}$

Form factor

$c_H = 1$	$\Delta = -1$
(global)	(MCHM-5)

Other fermion representations

- $SO(5)$: 5 14 10 1
 (fundam.) (symmetric) (anti-symm) (singlet)

- Consider top-L : 14 , top-R : 14

- Two Yukawa invariants:

$$A \Sigma^T \overline{Q}_{t_L}^{(14)} T_{t_R}^{(14)} \Sigma + B \left(\Sigma^T \overline{Q}_{t_L}^{(14)} \Sigma \right) \left(\Sigma^T T_{t_R}^{(14)} \Sigma \right)$$

$$L_{\text{Yuk}} = \left(\Pi_{LR}^1 + \Pi_{LR}^2 h^2 \right) S_h C_h \bar{t}_R t_L$$

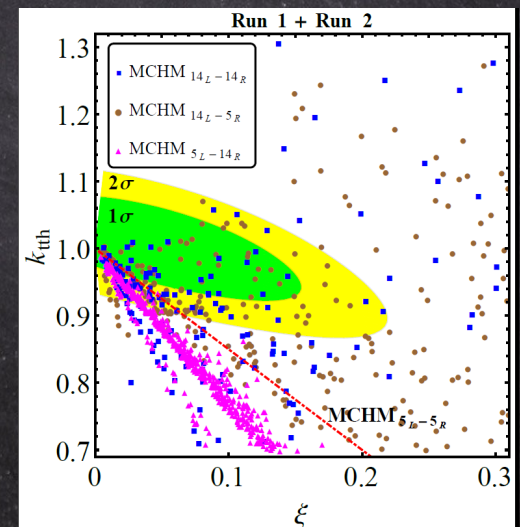
- Form factors cannot be totally absorbed in top mass.

In MCHM-5 hVV and htt modifications depend on a single parameter yielding very strong constraint. With more than one Yukawa invariant it is relaxed.

$$f > 1 \text{ TeV (MCHM - 5)}$$

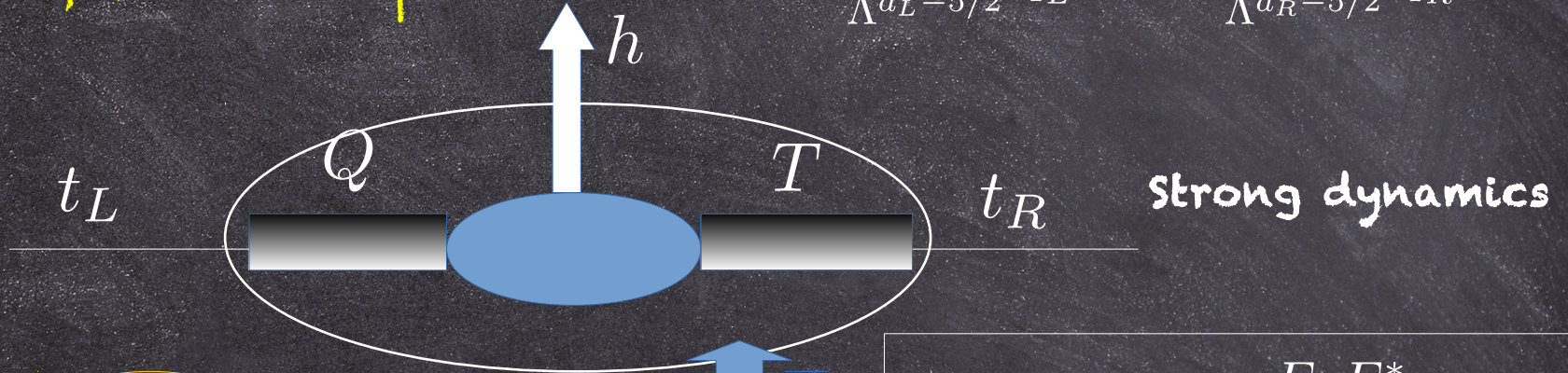
$$f > 640 \text{ GeV (extended models)}$$

1712.07494



Inside the Yukawa coupling

Partial fermion compositeness $L_{PC} = \frac{\lambda_L}{\Lambda^{d_L-5/2}} \bar{q}_L \mathcal{O}_L + \frac{\lambda_R}{\Lambda^{d_R-5/2}} \bar{q}_R \mathcal{O}_R$



$$L_{Yuk} = \Pi_{LR}(q^2) S_h C_h \bar{t}_R t_L + \text{h.c.}$$

$$\Pi_{LR}(q^2) \sim \sum_n \frac{F_L F_R^* m_{Q(n)}}{q^2 + m_{Q(n)}^2}$$

$$|\text{phys}\rangle = \cos \theta |\text{elem}\rangle + \sin \theta |\text{comp}\rangle$$

$$\Pi_{LR}(q^2) = \sum_n \epsilon_L^{(n)}(q^2) \epsilon_R^{(n)}(q^2) m_{Q(n)}$$

$$m_t \sim \epsilon_L \epsilon_R^* m_Q \sqrt{\xi(1-\xi)}$$

Fine-tuning of VEV and Higgs mass

- Effective Coleman-Weinberg potential (only fermionic, simplified)

$$V_{\text{eff}} = -2N_c \int \frac{d^4q}{(2\pi)^4} \ln \left[1 + \frac{\Pi_{LR}^2(q^2) S_h^2 C_h^2}{q^2} \right] = -\frac{\mu^2}{2} h^2 + \frac{\lambda}{4} h^4$$

$$\left. \begin{array}{l} \mu^2 \equiv \mu^2(F_L, F_R, m_Q) \\ \lambda \equiv \lambda(F_L, F_R, m_Q) \end{array} \right\} v \equiv \frac{\mu^2}{\lambda} = 246 \text{ GeV} \quad (v \ll f)$$

F.T. between fermion and gauge contribution

$$m_h^2 \sim \frac{N_c}{8\pi^2} \frac{1}{f^2} m_t^2 m_Q^2 \sim \frac{N_c}{8\pi^2} g_*^2 m_t^2 \quad (1 < g_* < 4\pi)$$

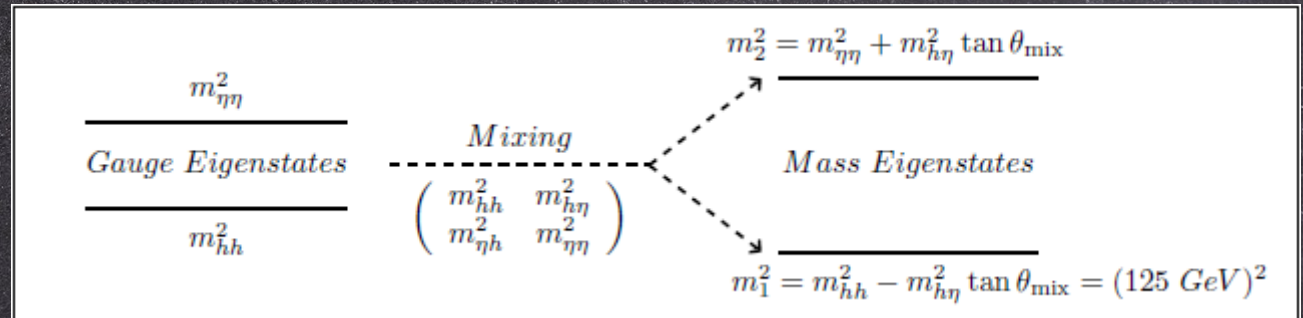
(loop) (GB) (cutoff)
(2 vertices in FC)

Higgs mass too large unless tuned

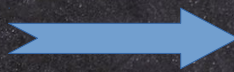
Improving the tuning

- Next-to-minimal $SO(6) / SO(5)$ gives 5 pNGBs.
- 4 d.o.f. constitute H, the new one is a singlet scalar.

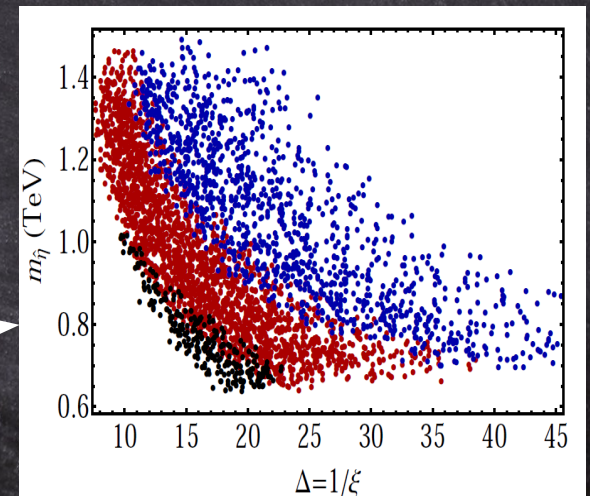
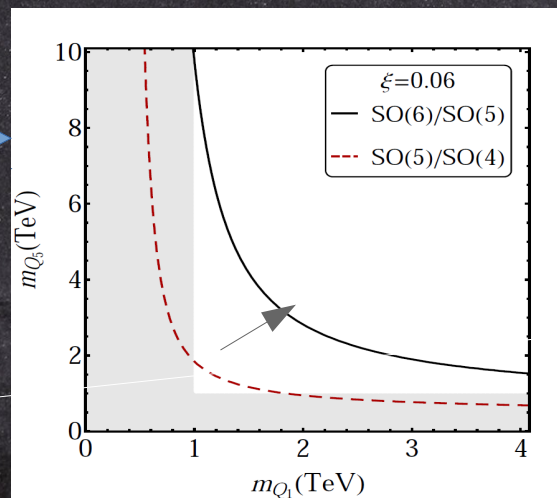
Level
repulsion
1703.08011



Improved
FT due to
mixing



Lighter singlet at
the expense of
increased FT



Conclusions

- Big hierarchy is solved as beyond the cutoff the Higgs dissolves.
- Interpolation between SM and Technicolor (Higgsless).
- Non-linearity of pNGB dynamics modifies Higgs couplings.
- hVV modifications universal, hff modifications depend on reps.
- In MCHM-5, $f > 1$ TeV; relaxed in extended models $f > 640$ GeV.
- EWPT constraints (primarily S): $f > 1$ TeV (assumptions).
- Higgs mass tuning can be relaxed in next-to-minimal model.