

Blinded by the Light: a Cherenkov Calibration

2018 CAP Congress – Dalhousie University (Halifax, NS)

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Supervisor: Dr. G. M. Huber

University of Regina



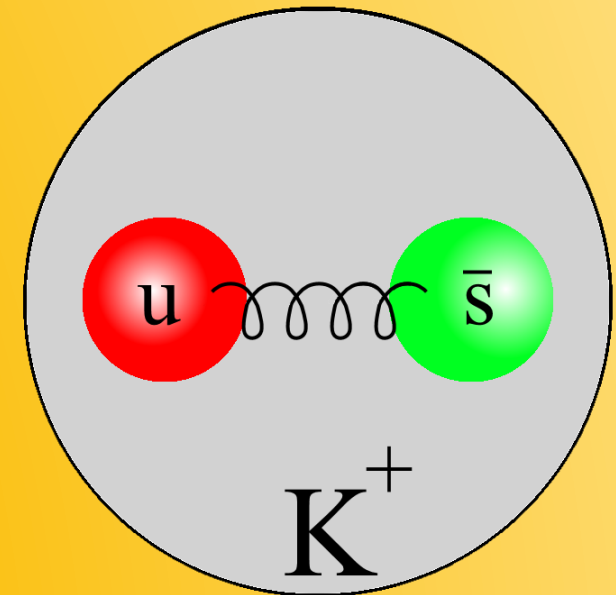
Sapin-2016-00031



Scientific Motivation – E12-09-11 – $p(e,e'K^+)\Lambda,\Sigma^0$

- What are the form factors for strange mesons?
- How accurately does QCD predict hadronic structure?

- Meson valence structure ($q\bar{q}$) provides easy testing grounds
- Pions have been studied ($u\bar{d}$), however not much is known about strangeness

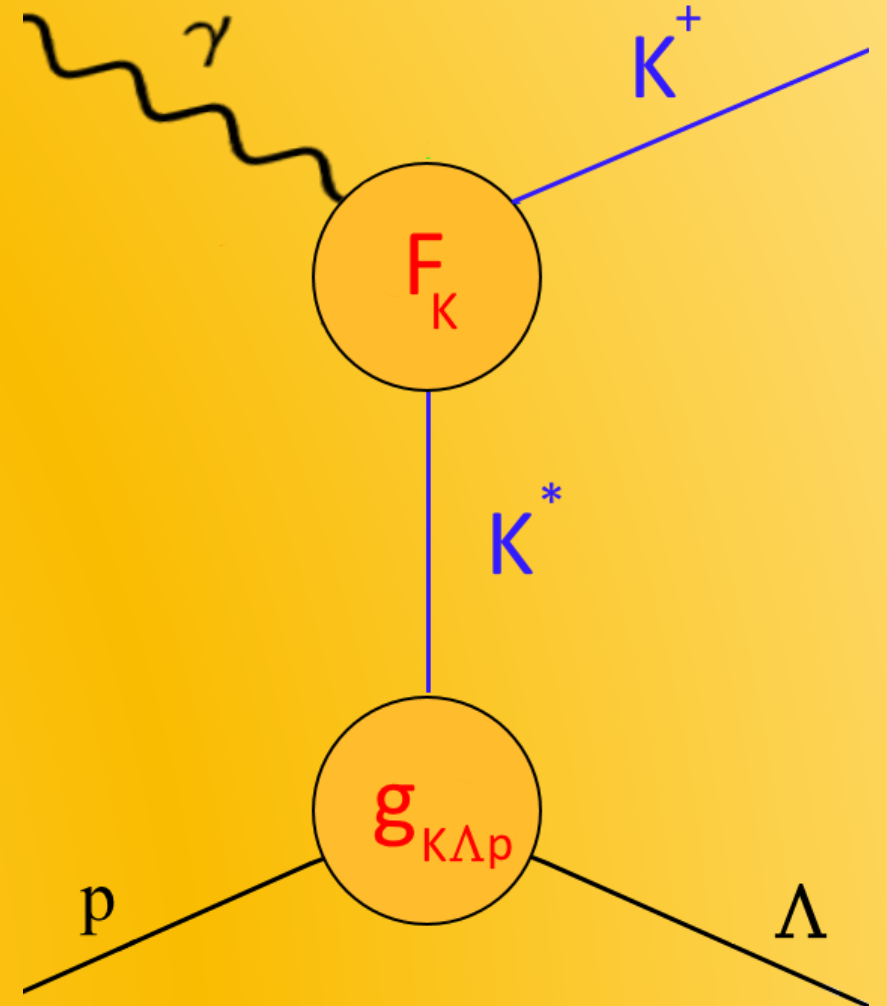


Scientific Motivation – $p(e,e'K^+)\Lambda,\Sigma^0$

- Coupling constants & form factors measured indirectly
 - “Meson Cloud”

$$|p\rangle = |p\rangle_o + |n\pi^+\rangle + |\Lambda K^+\rangle + \dots$$

$$\bullet \sigma_L \approx \frac{-tQ^2}{(t-m_K^2)^2} (g_{K\Lambda p})^2 F_K^2(Q^2)$$



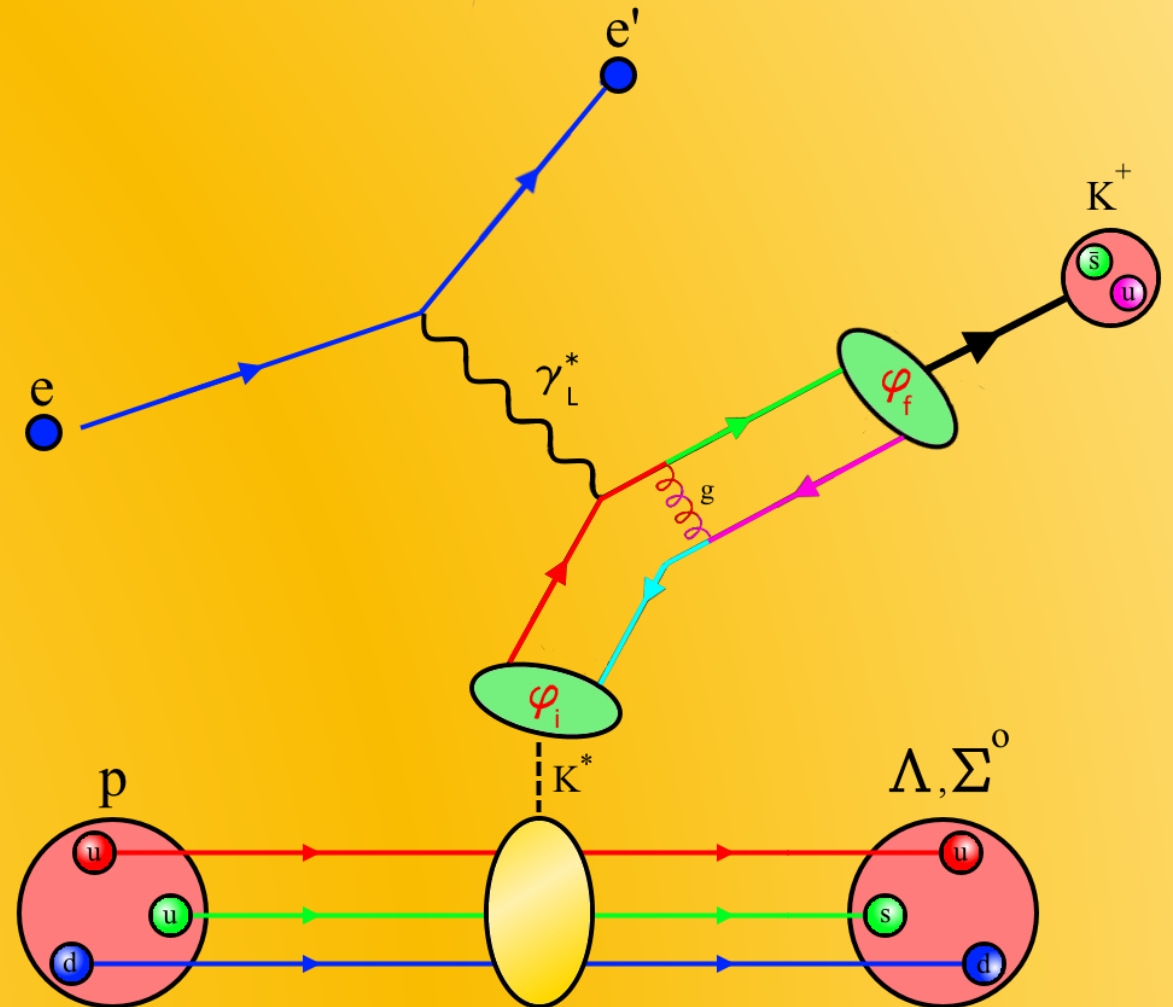
Experimental Goals

- Can proton “kaon cloud” be used to extract kaon form factor?

- Can study Λ , Σ^0 channels

$$\frac{\sigma_L(\gamma^* p \rightarrow K^+ \Sigma^0)}{\sigma_L(\gamma^* p \rightarrow K^+ \Lambda)} \stackrel{?}{=} \frac{g_{K\Sigma p}^2}{g_{K\Lambda p}^2}$$

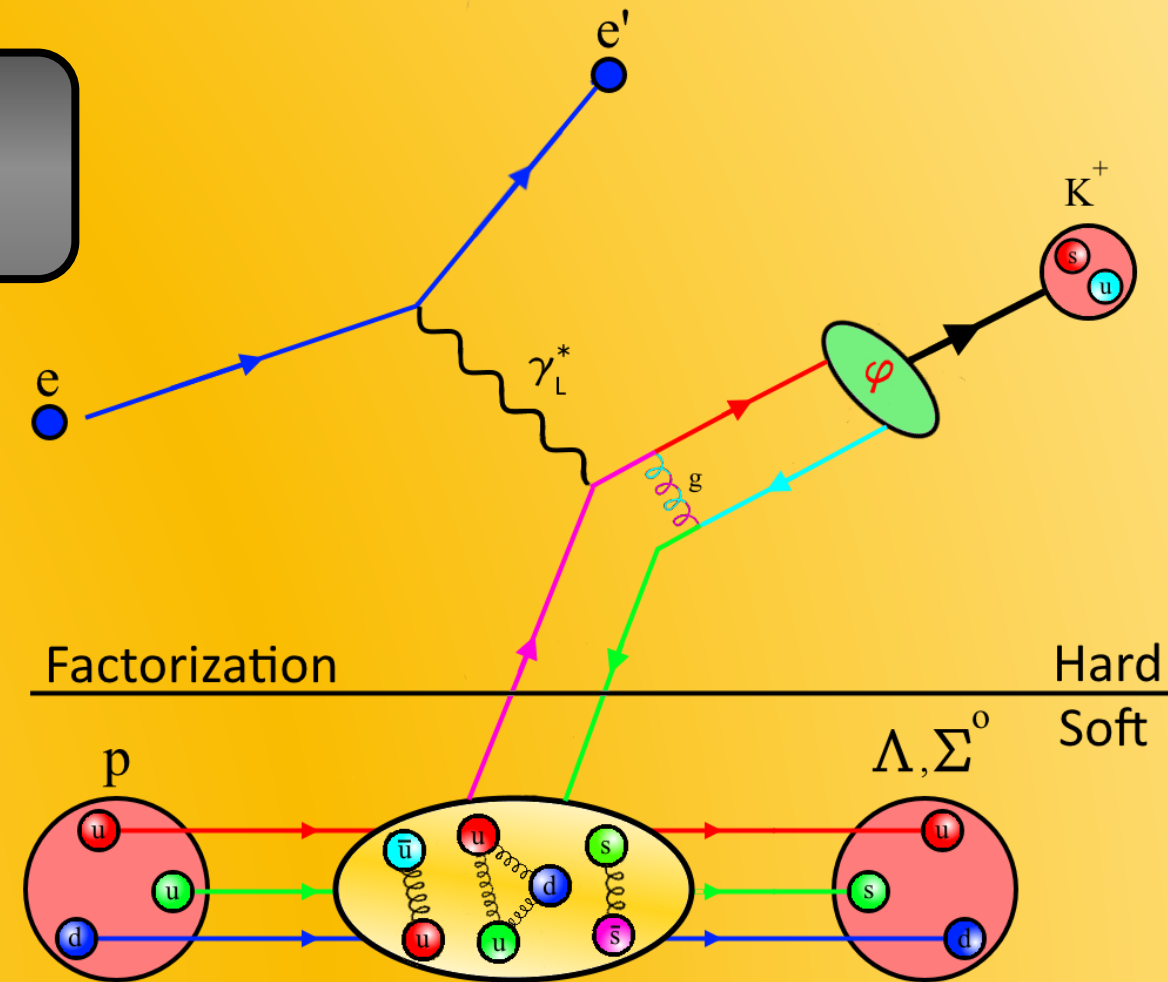
- Reveals new flavor degrees of freedom for QCD model building



Experimental Goals

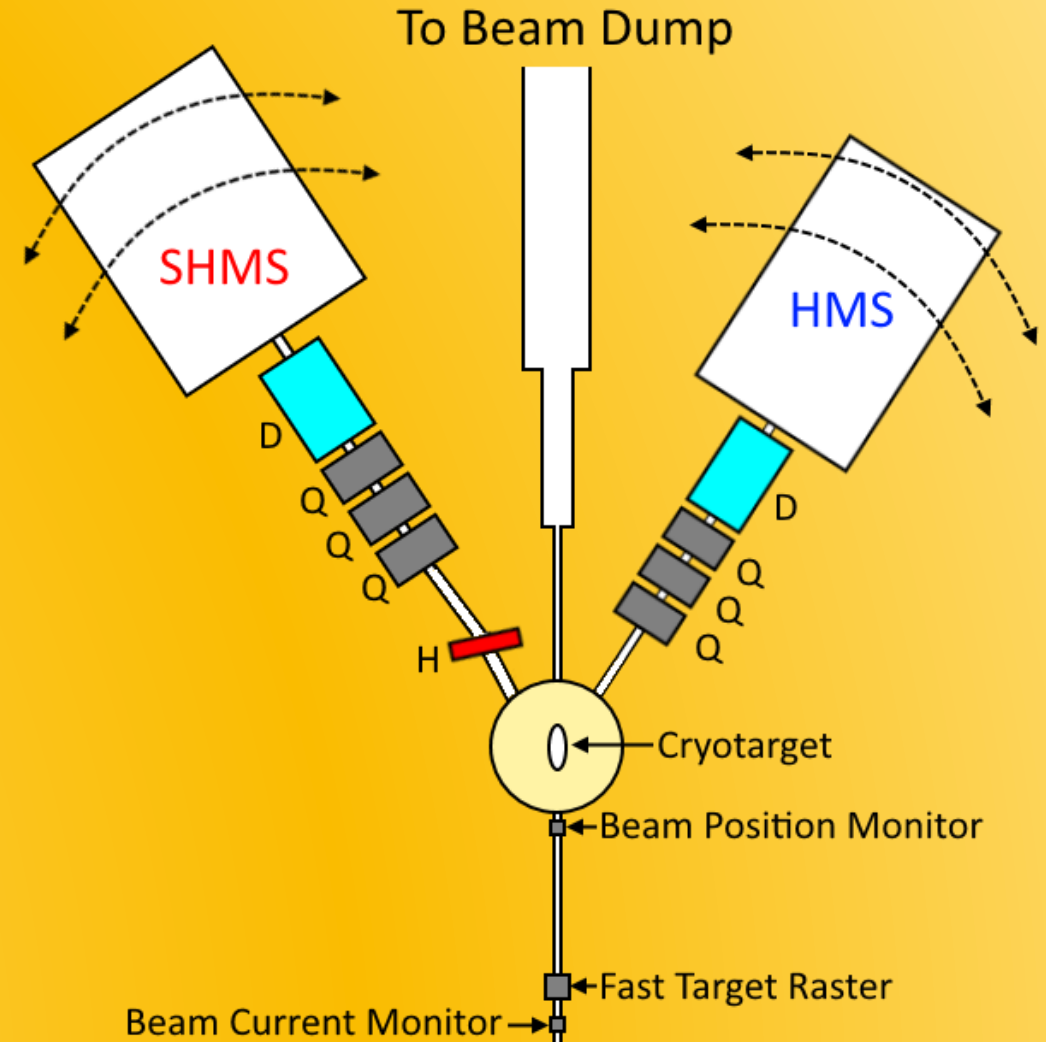
- Can kaon electroproduction reveal transition from hadronic to partonic degrees of freedom?
- Test Q^2 dependence of $\mathbf{p}(e, e' K^+) \Lambda, \Sigma^0$ cross section

- $\sigma_L \propto Q^{-6}$
- $\sigma_T \propto Q^{-8}$
- As Q^2 gets large, $\sigma_L \gg \sigma_T$



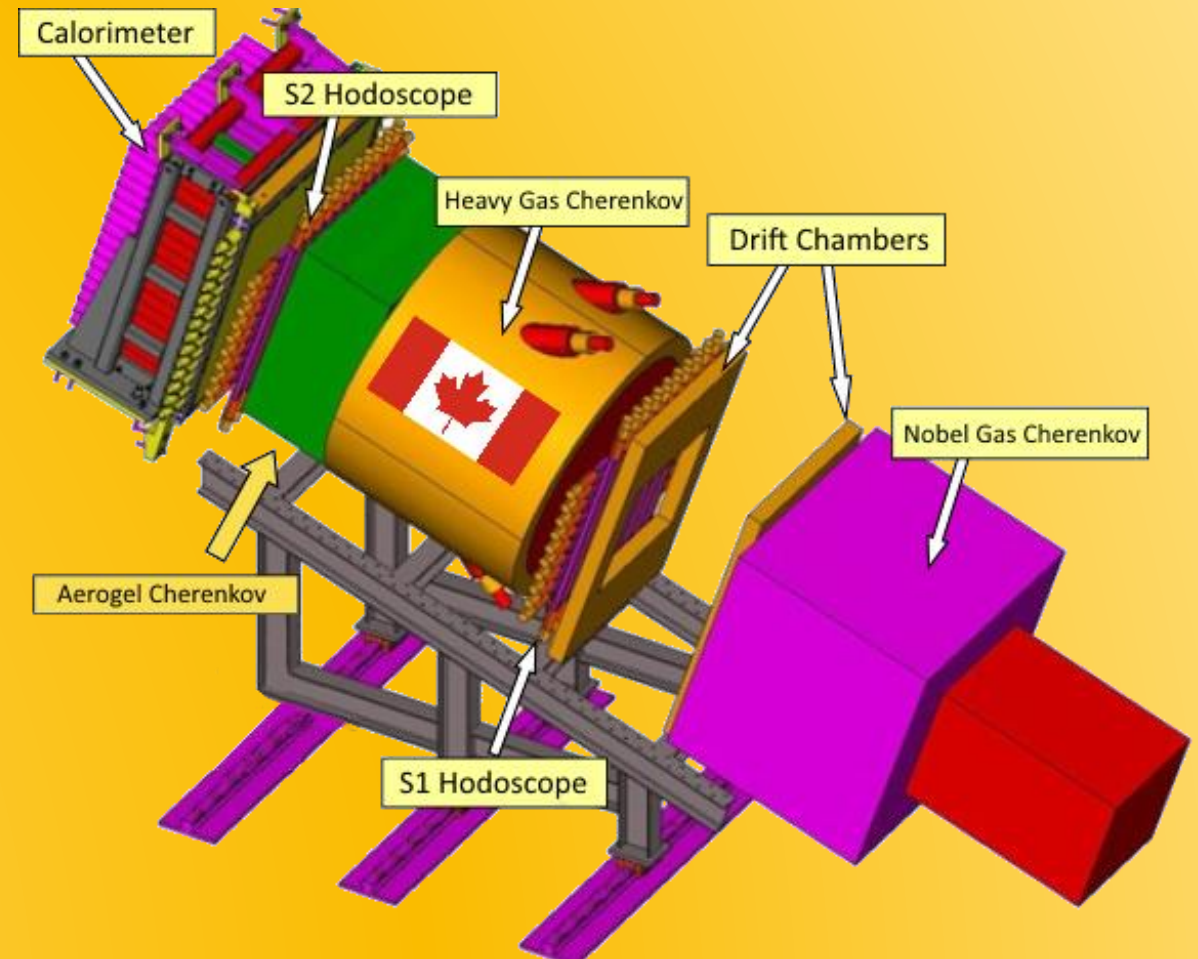
Experimental Set-up

- Beam Energy 2.2 - 12 GeV
- Beam Current up to $80\ \mu\text{A}$
- K^+ & e^- detected in coincidence
 - HMS for e^- detection
 - 10.6° minimum angle
 - $0.9 - 6.9\ \text{GeV}/c$
 - SHMS for K^+ detection
 - 5.5° minimum angle
 - $2.6 - 7.1\ \text{GeV}/c$
- LH2 & Al Dummy Target



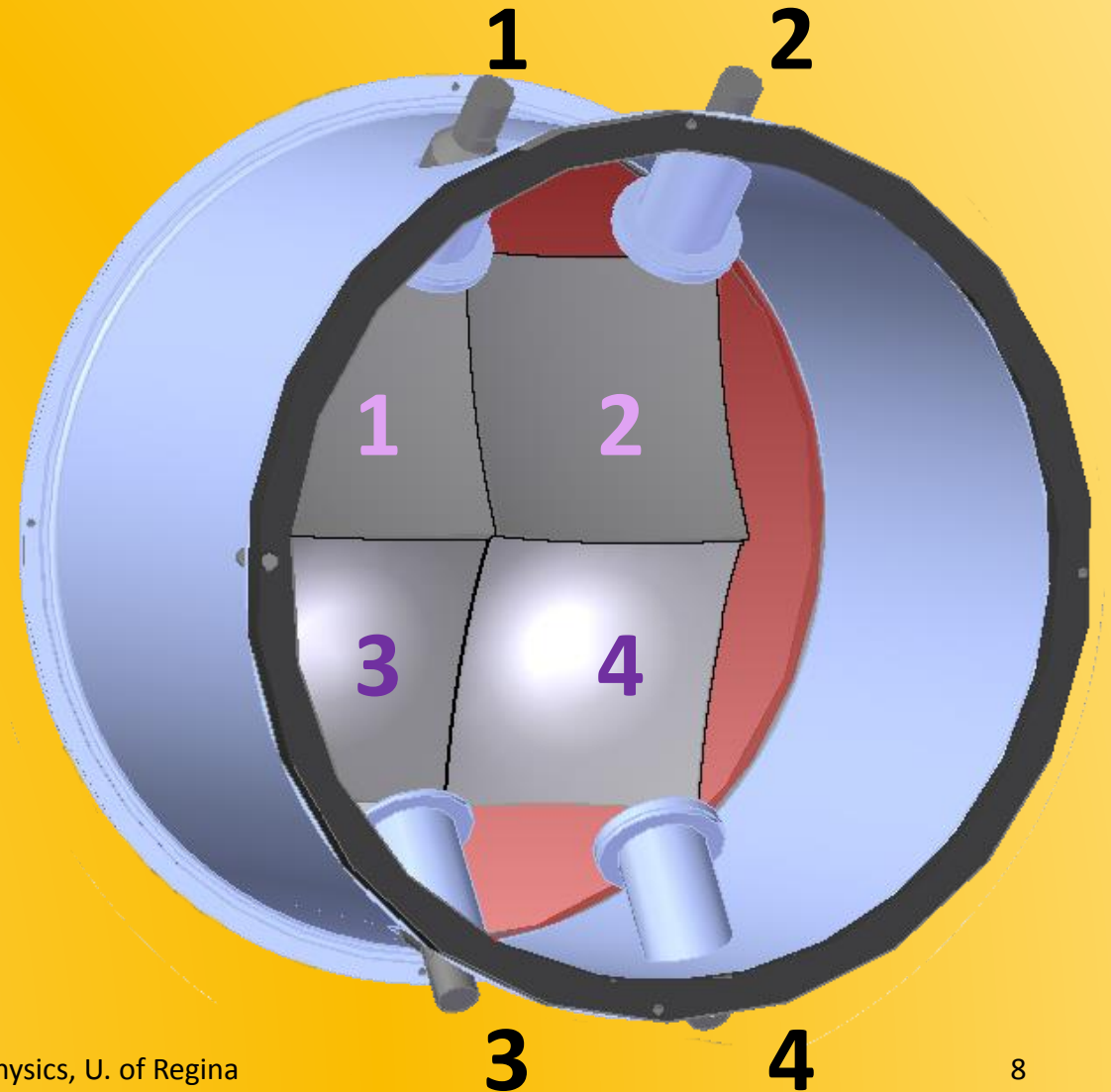
Experimental Set-up

- Particle Identification
 - Heavy Gas Cherenkov for pion/kaon separation
 - $n = 1.0011$
 - Aerogel Cherenkov for kaon/proton separation
 - $n = 1.030, 1.011$
 - Noble Gas Cherenkov for electron/pion separation
 - $n = 1.0003$
 - Calorimeter for electron/hadron separation



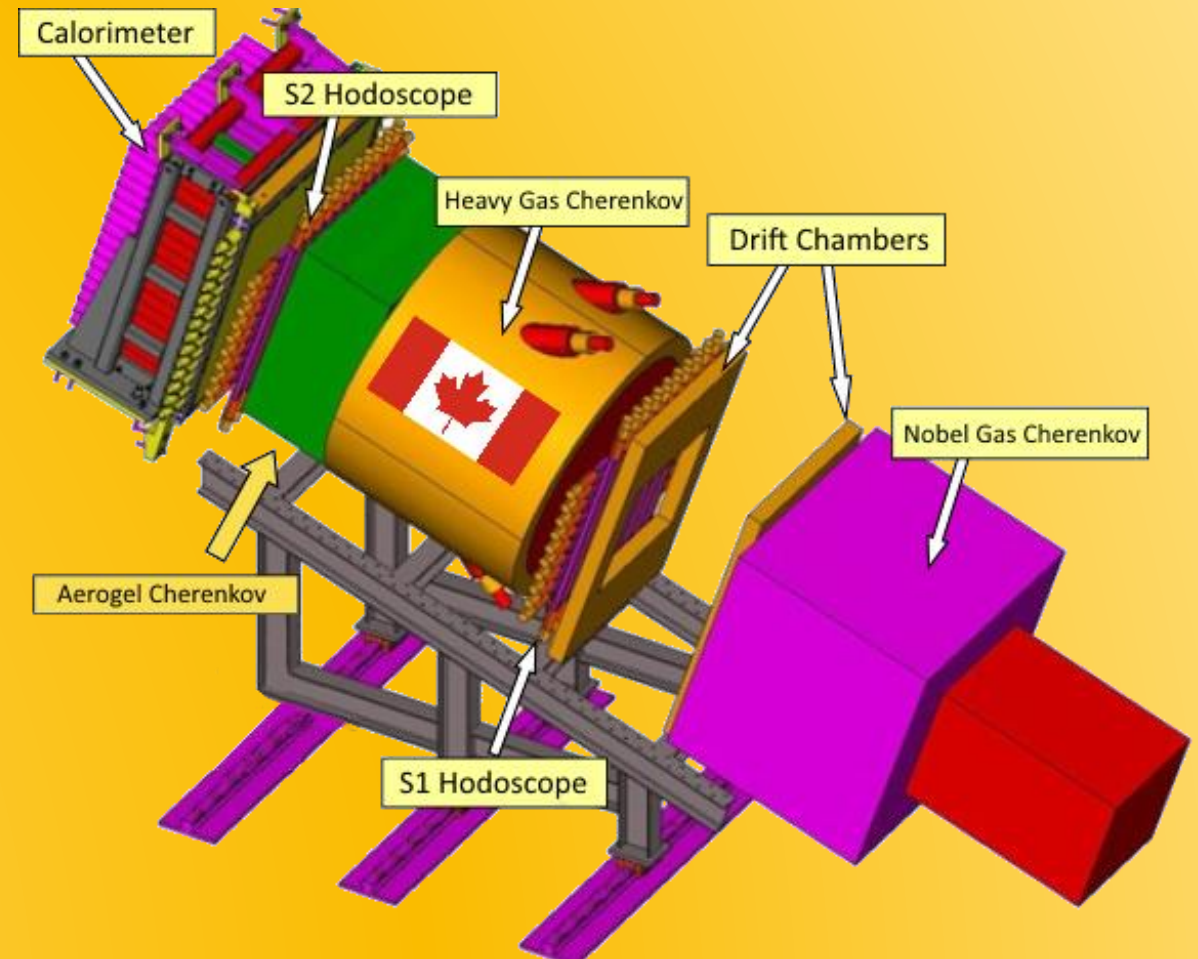
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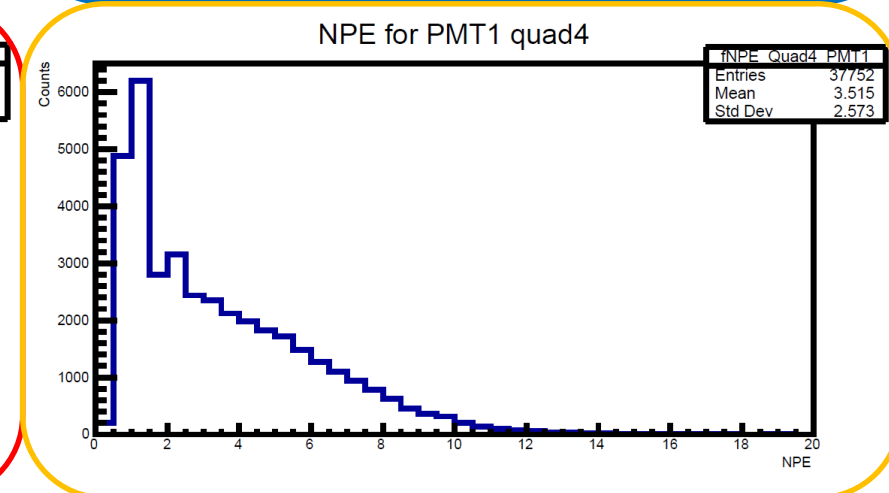
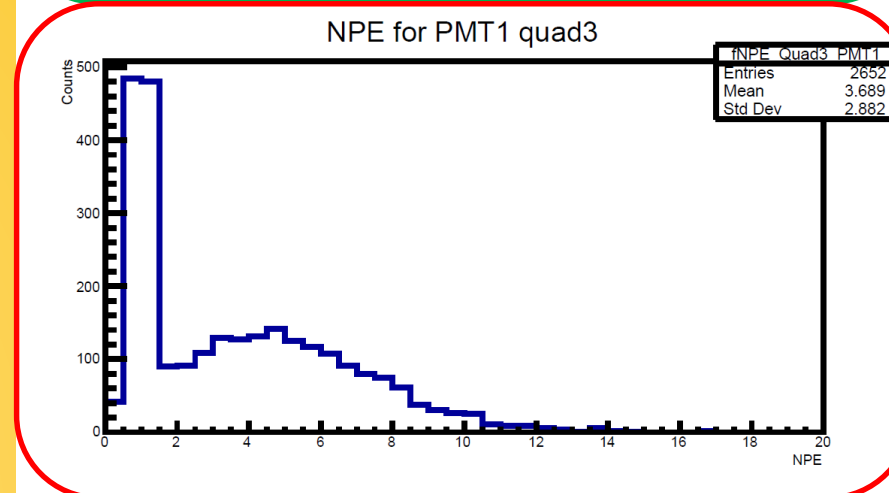
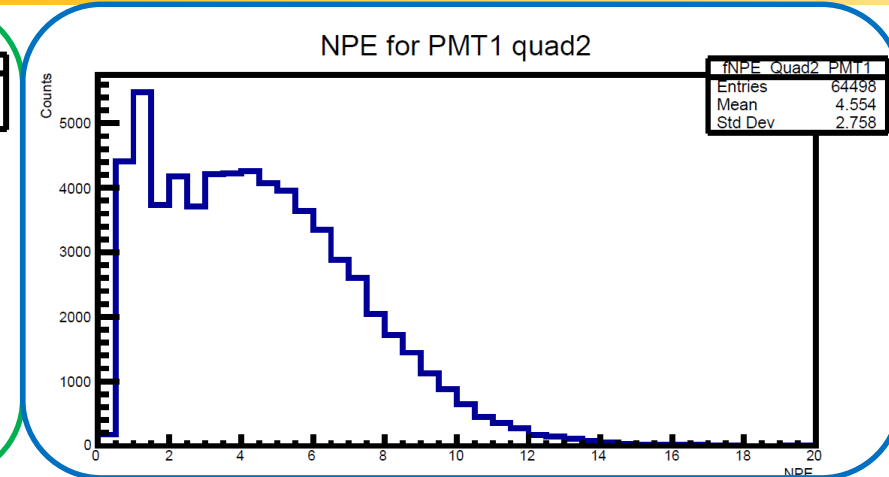
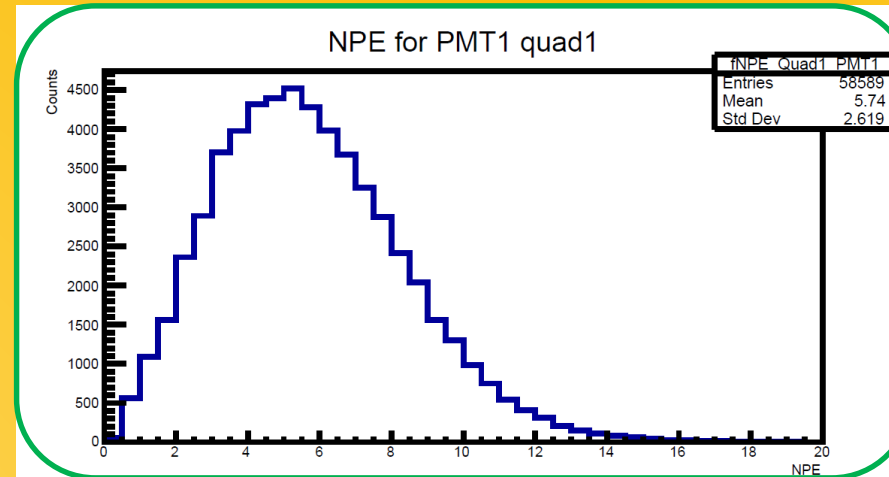
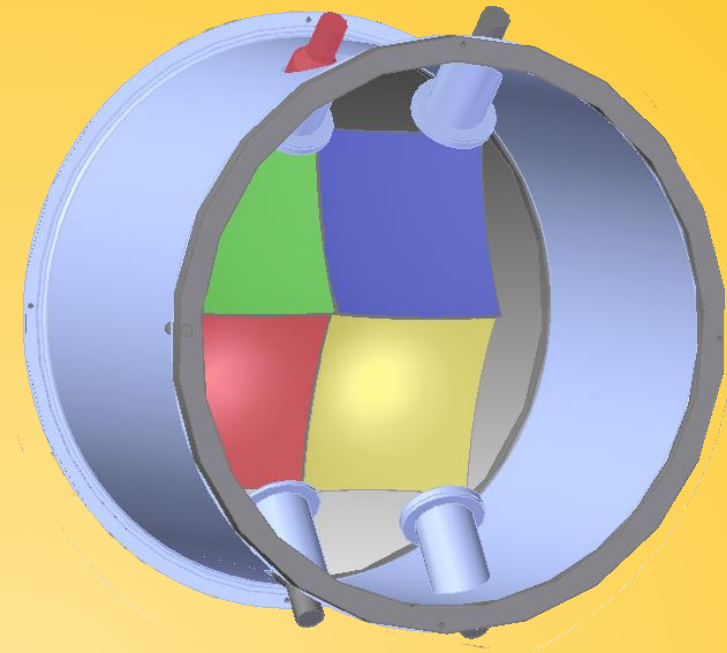
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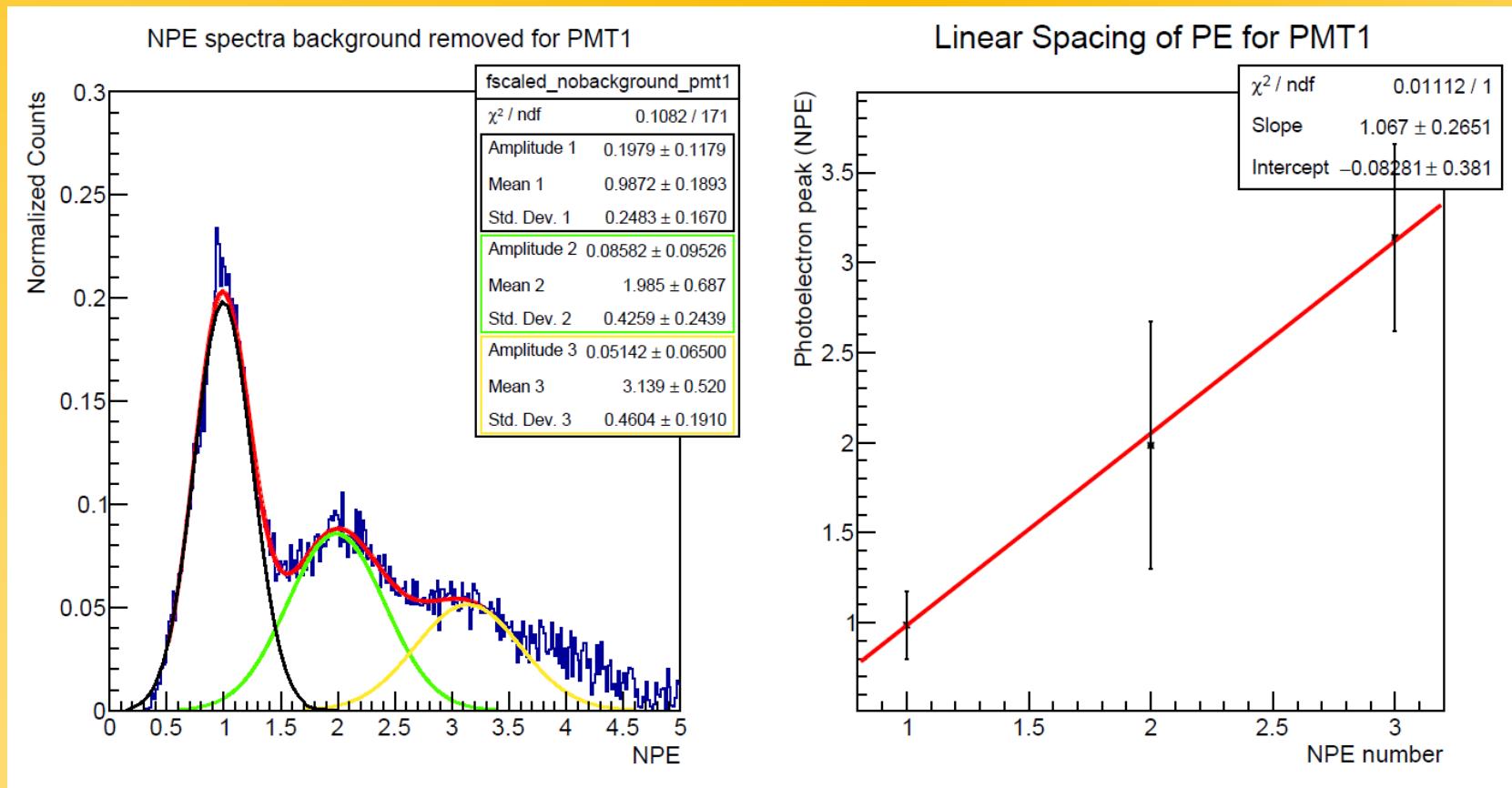
Detector Calibration

- Separate signal for each PMT to get SPE



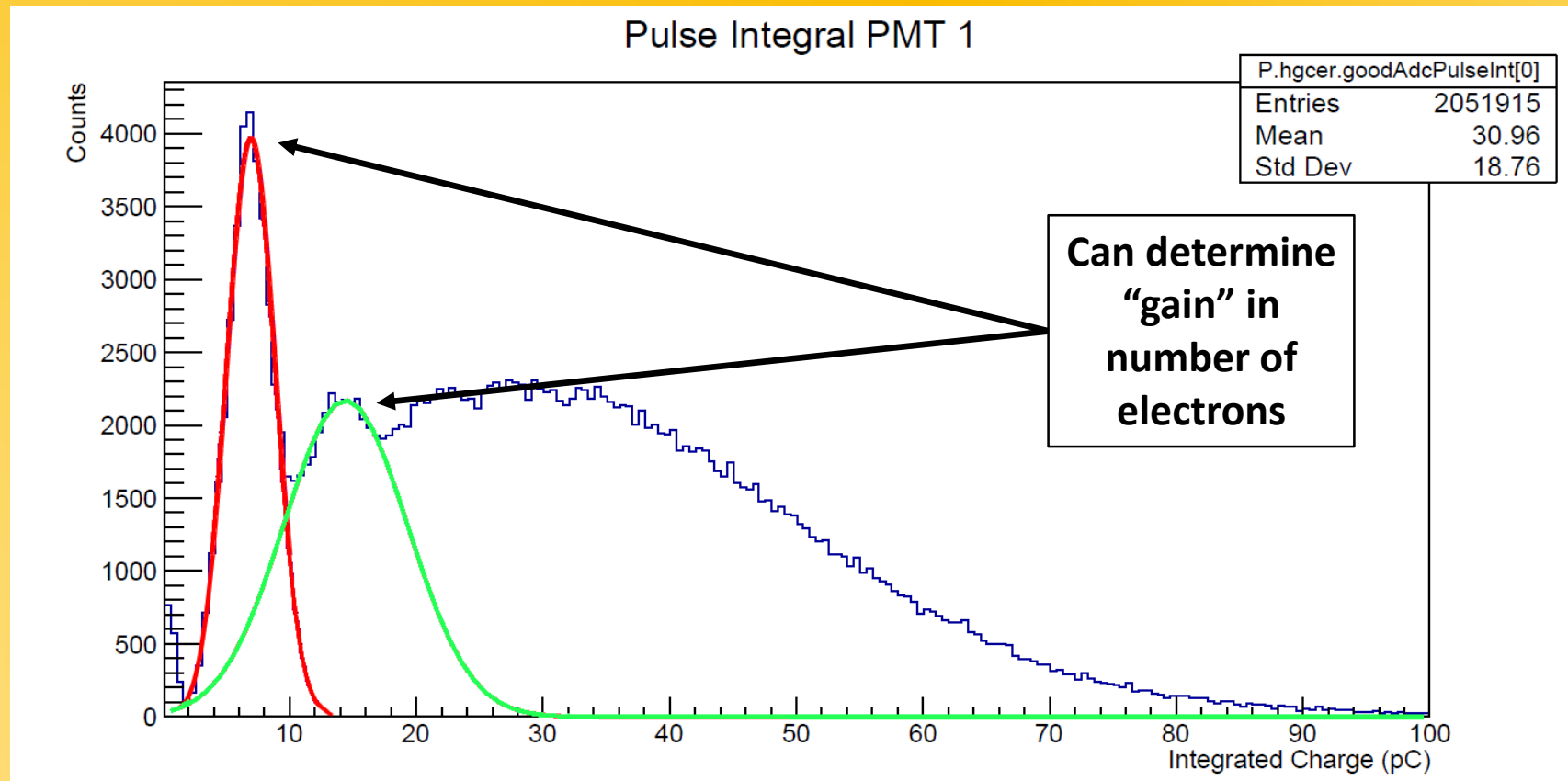
Detector Calibration

- Verify calibration with 2nd and 3rd peak's linearity



Detector Calibration

- Same method can be used to verify PMT gain



Detector Calibration

- Same method can be used to verify PMT gain

PMT Number	Previous Measurement	Current Measurement
PMT 1	3.06×10^7	1.55×10^7
PMT 2	7.47×10^7	4.22×10^7
PMT 3	9.62×10^7	5.36×10^7
PMT 4	5.81×10^7	3.41×10^7

- Off by a factor of 2?
 - Signal now passes through a 50:50 splitter

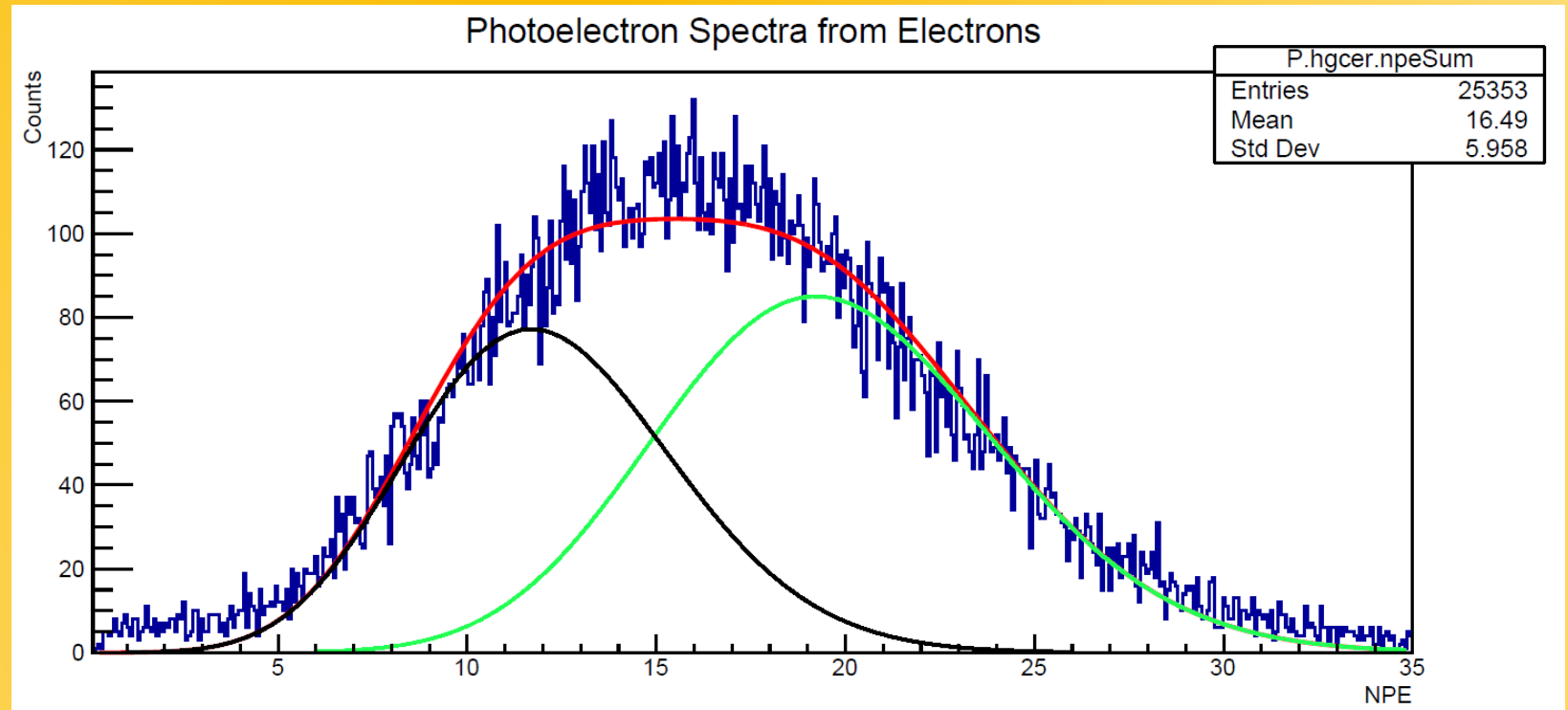
Detector Calibration

- Verify calibration by checking distribution profile

- Fit with sum of two Poisson distributions

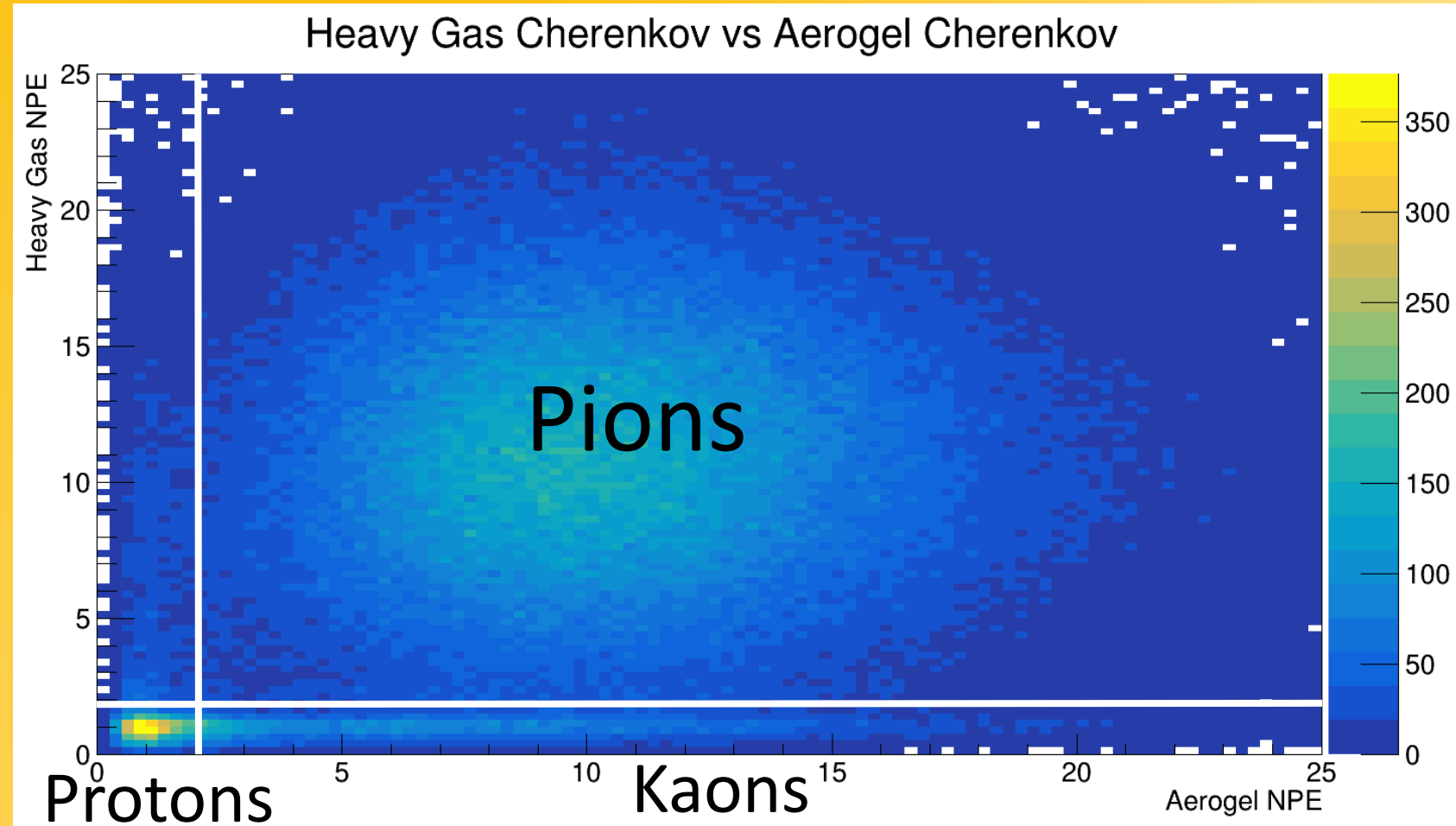
$$\frac{\mu^x e^{-\mu}}{\Gamma(x + 1)}$$

- Two sources from different focusing?



Particle Identification

- Calibrated HGC and AGC
- Able to perform particle ID based off number of photoelectrons (NPE)



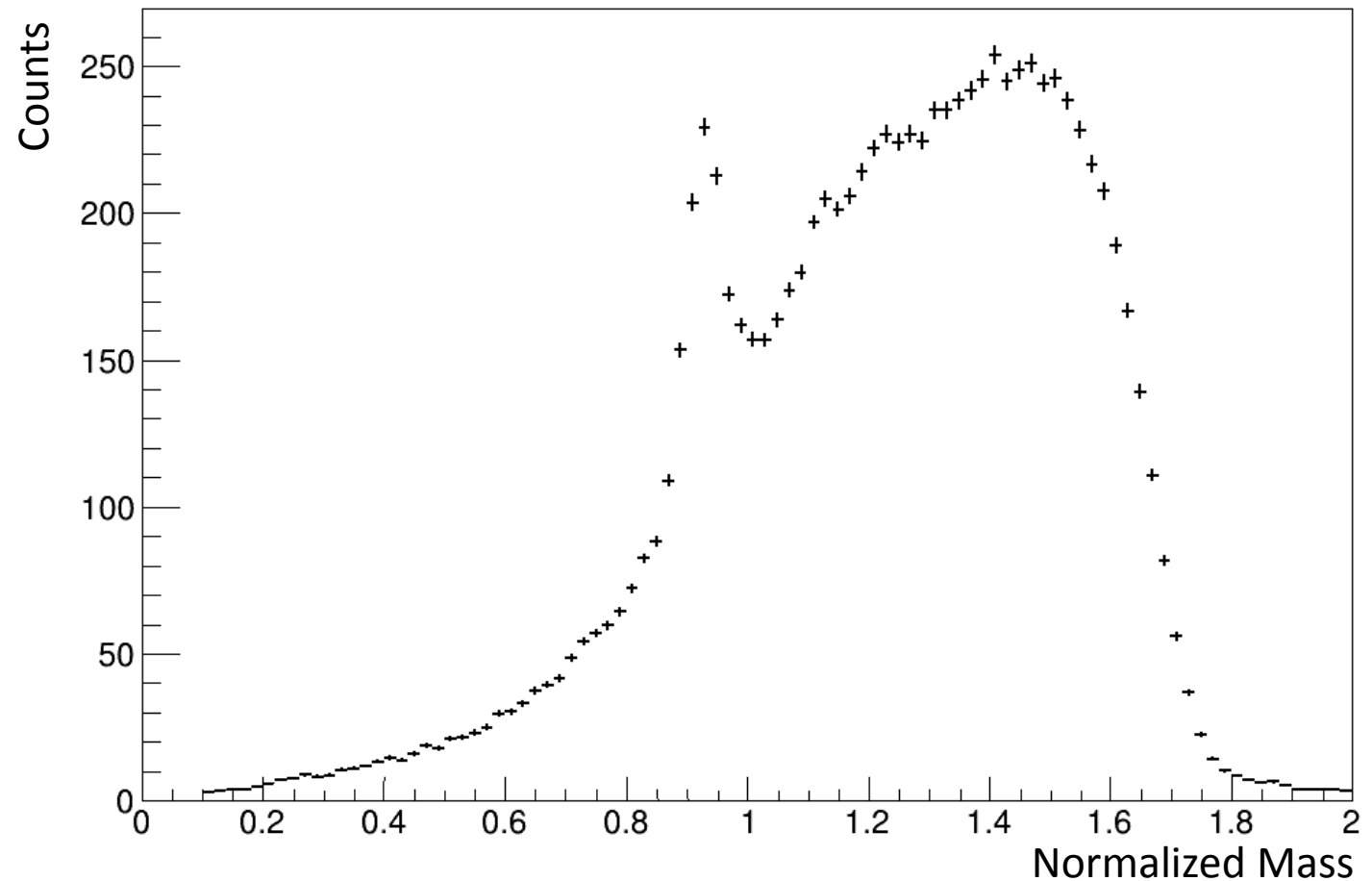
Particle Identification – $p(e,e'K^+)\Lambda$

- Able to identify neutron and Λ missing masses

+ : Data

— : Particle ID

— : Simulation



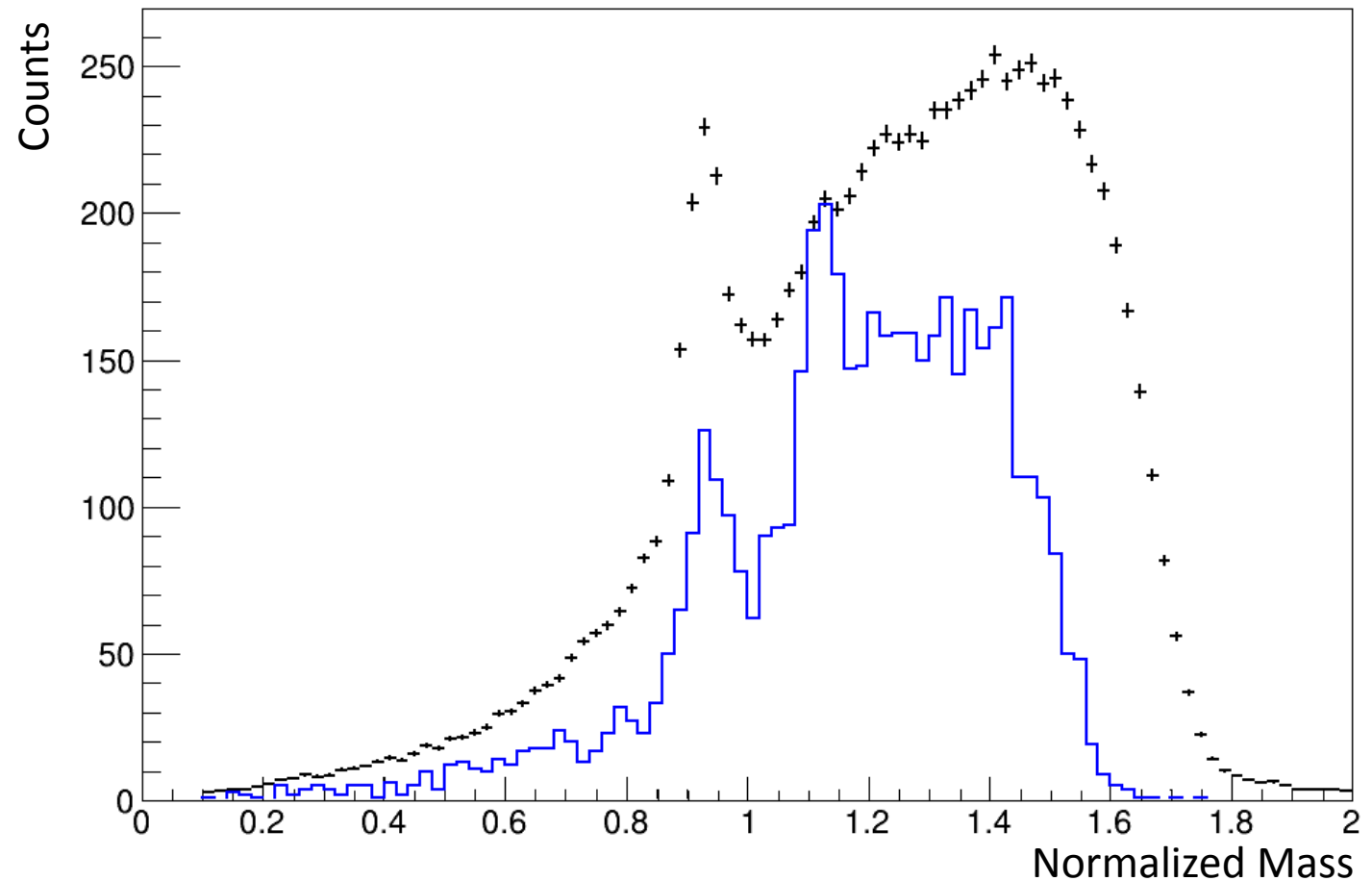
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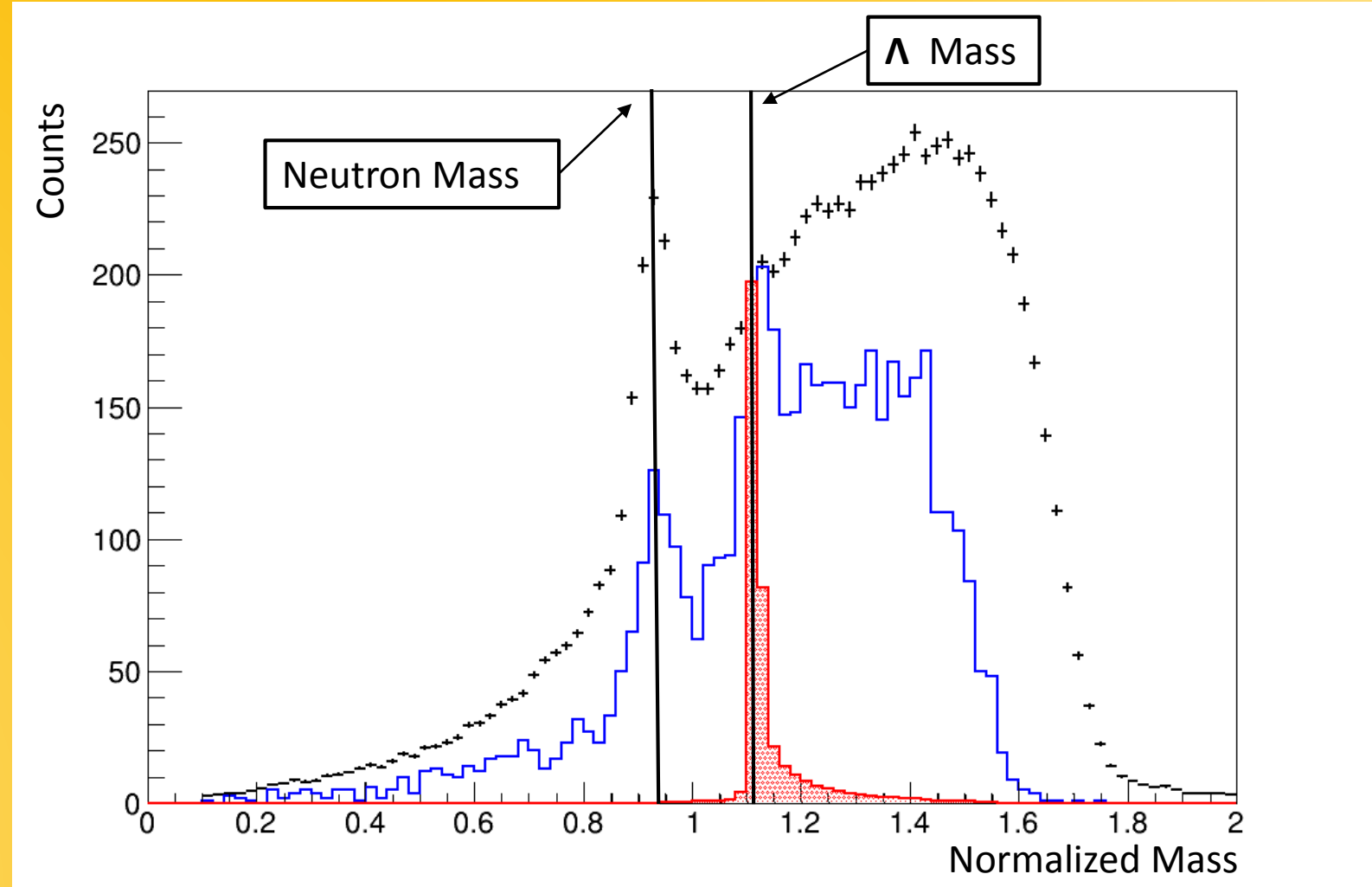
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Detector Calibration

- Determine efficiency with other detectors

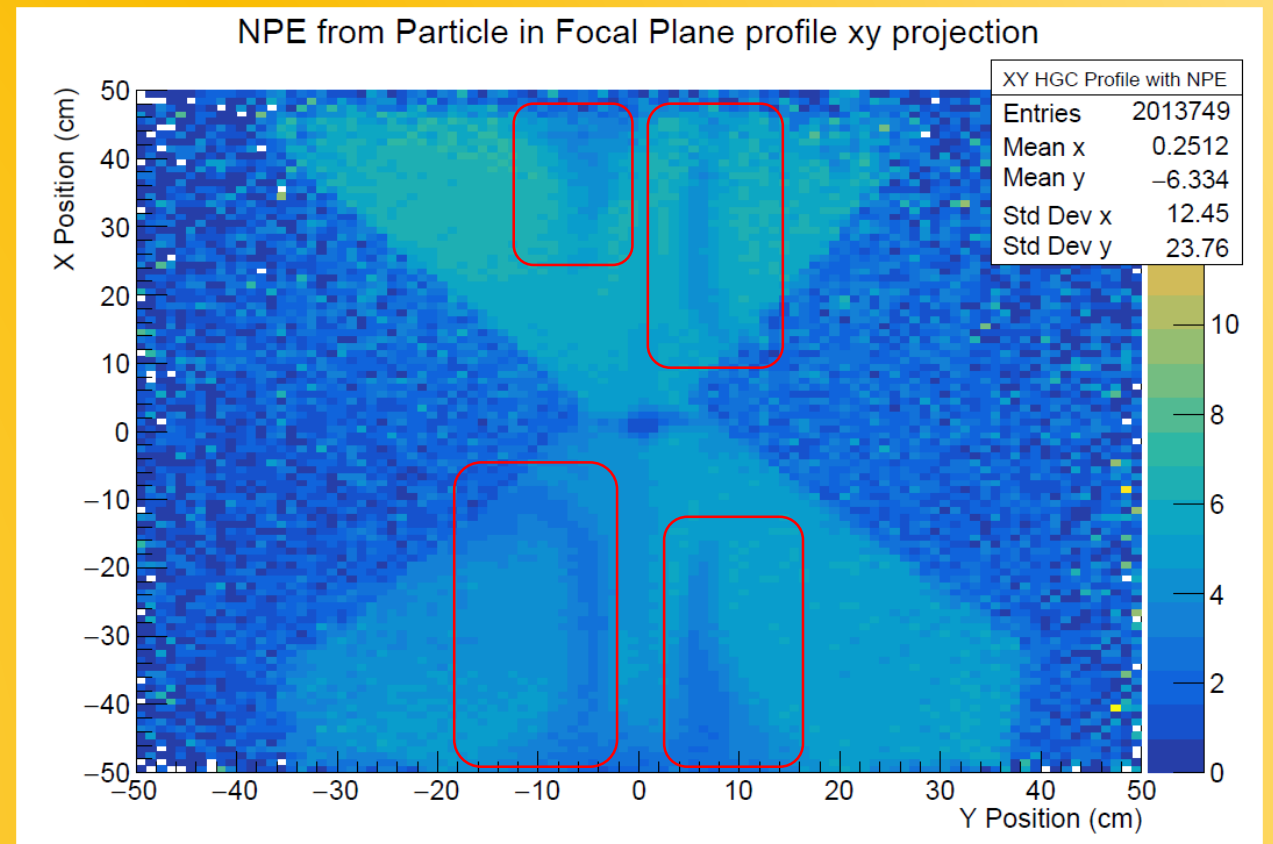
$$\text{electron efficiency} = \frac{[\text{calorimeter } e^-][\text{NGC } e^-][\text{HGC } e^-]}{[\text{calorimeter } e^-][\text{NGC } e^-]} \times 100\%$$

$$\text{pion contamination} = 1: \frac{[\text{calorimeter } e^-][\text{NGC } e^-][\text{HGC } e^-]}{[\text{calorimeter } \pi^-][\text{NGC } \pi^-][\text{HGC } e^-]}$$

NPE cut on HGC	Electron efficiency	Pion contamination
0.5	99.97%	1:41
1.0	99.73%	1:49
1.5	99.35%	1:64
2.0	99.02%	1:75

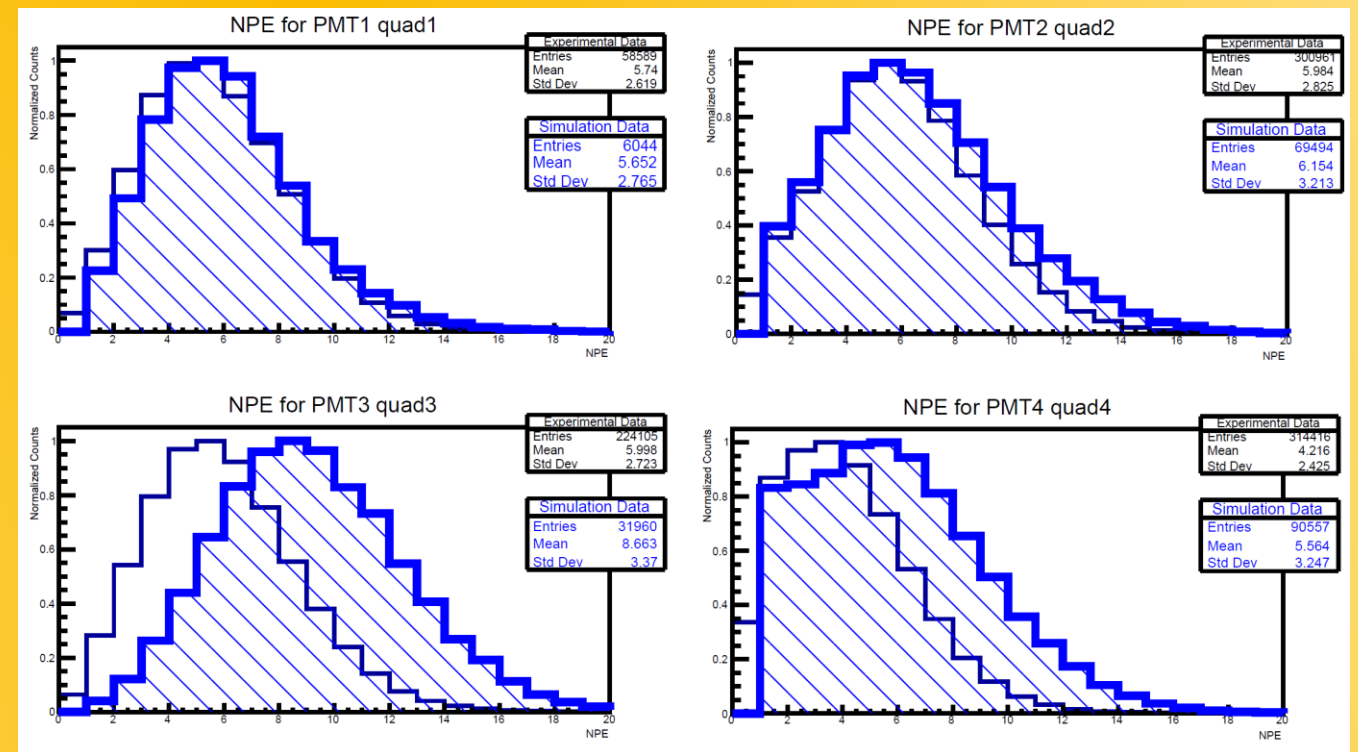
Outlook

- Detector performance can be improved
 - Localized inefficiencies
 - Disagreement with simulation
- Currently testing optical alignment
- Testing new optical configuration to improve performance



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Back up Slides

Experimental Goals

- Rosenbluth Separation to isolate σ_L

$$2\pi \frac{d^2\sigma}{dt d\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon + 1)} \frac{d\sigma_{LT}}{dt} \cos \phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

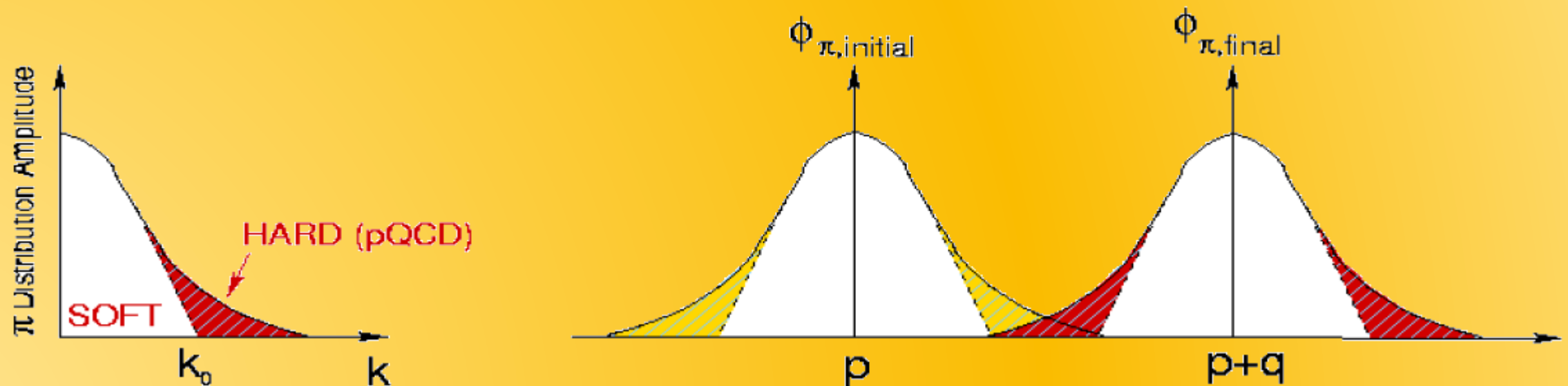
$$\varepsilon = \left(1 + 2 \frac{(E_e - E_{e'})^2 + Q^2}{Q^2} \left(\tan \frac{\theta_{e'}}{2} \right)^2 \right)^{-1}$$

- Measure cross section at fixed $(W, Q^2, -t)$ at two beam energies
- Simultaneous fit of two ε values to determine contributions

Experimental Goals

- In quantum theory, form factor is the overlap integral

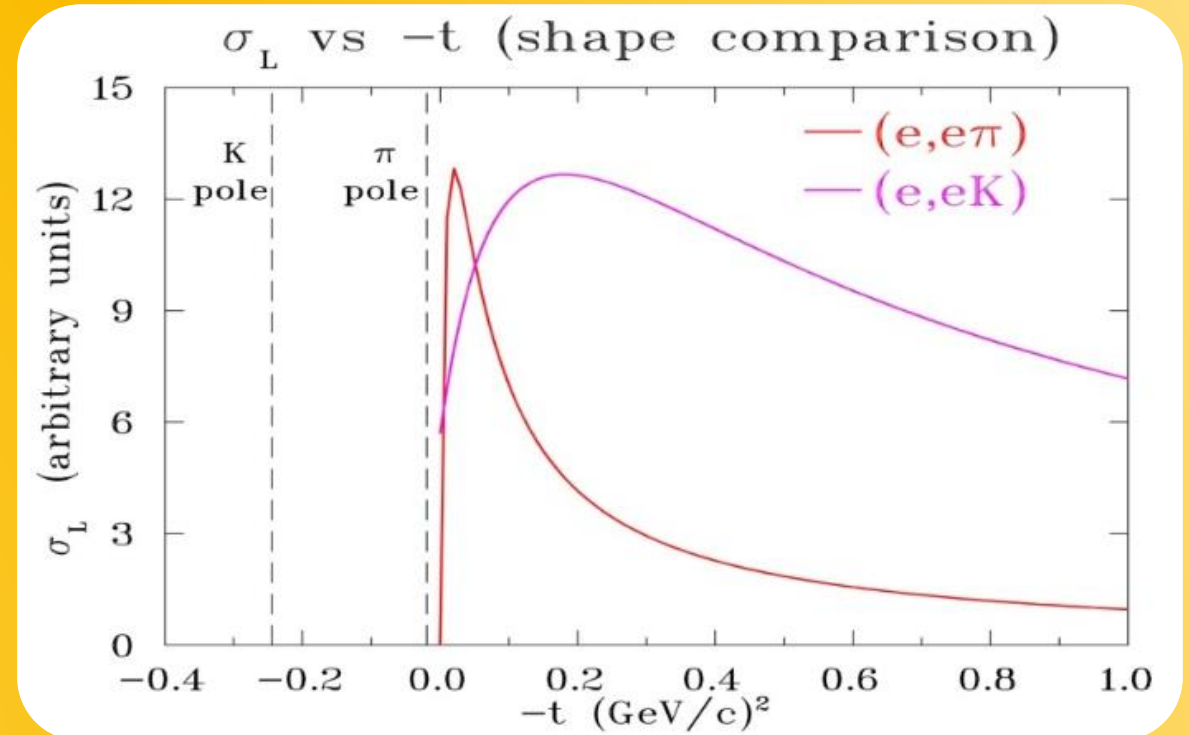
$$F_K(Q^2) = \int \varphi_i^*(p) \varphi_f(p + q) dp$$



Experimental Goals

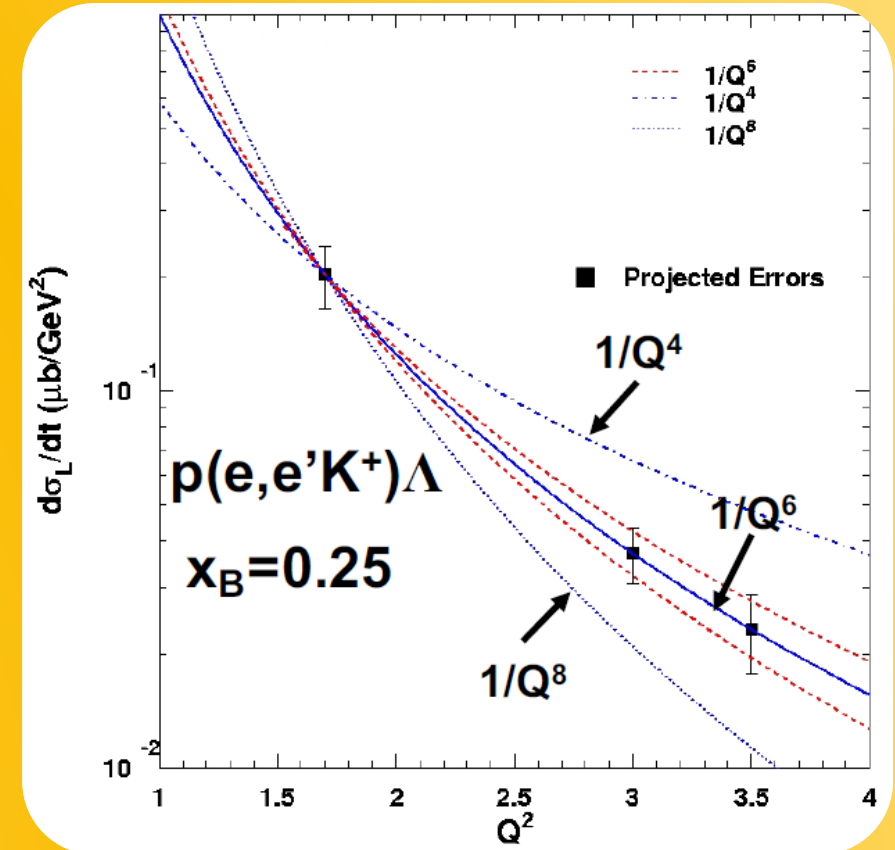
- Can proton “kaon cloud” be used to extract kaon form factor?
- Kaon pole further from kinematically allowed region
- Form factor from Regge VGL model

$$\sigma_L \approx \frac{-2tQ^2}{(t - m_K^2)^2} k(e g_{K\Lambda p})^2 F_K^2(Q^2)$$



Experimental Goals

- Can kaon electroproduction shed light on factorization regime?
- What Q^2 is needed for factorization to apply?
- Nothing is known with strangeness dimension

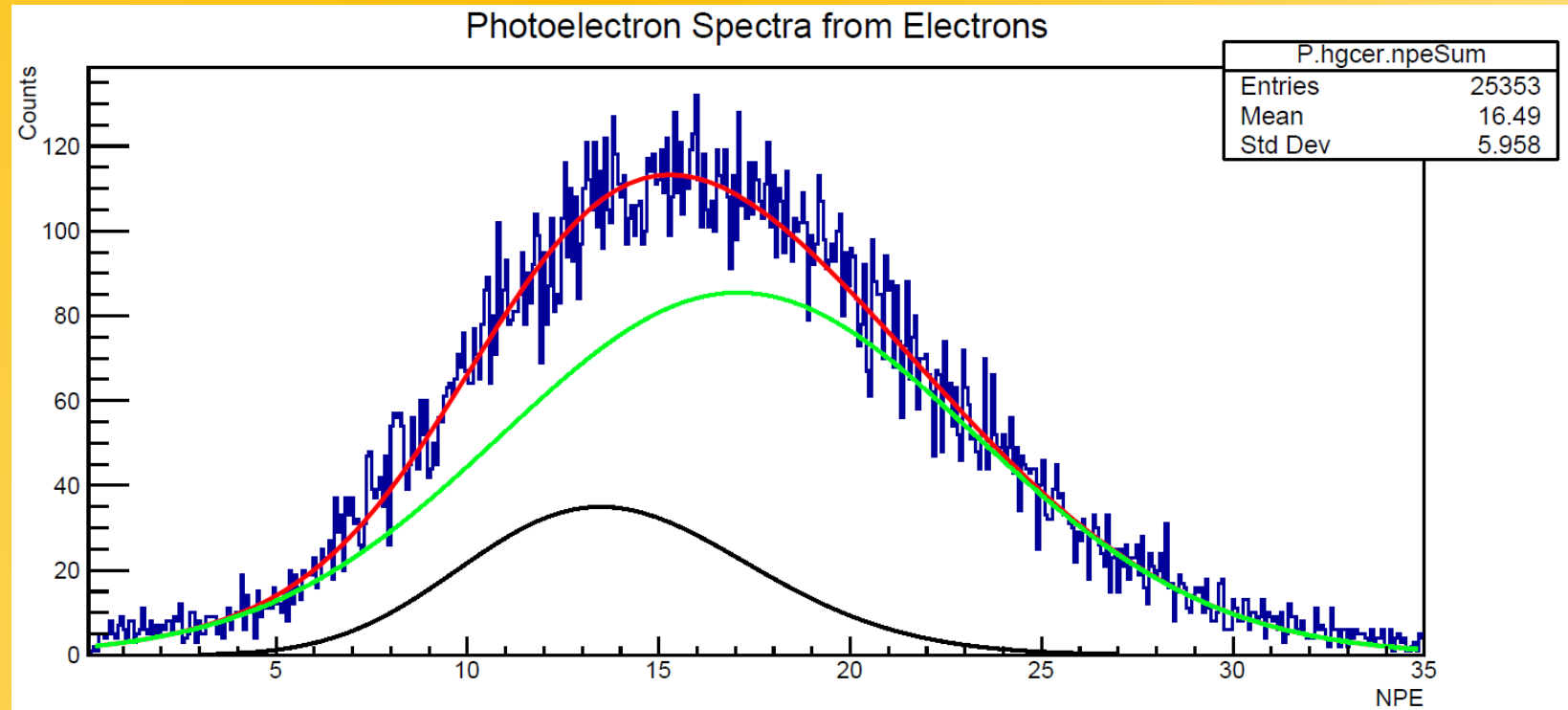


Detector Calibration

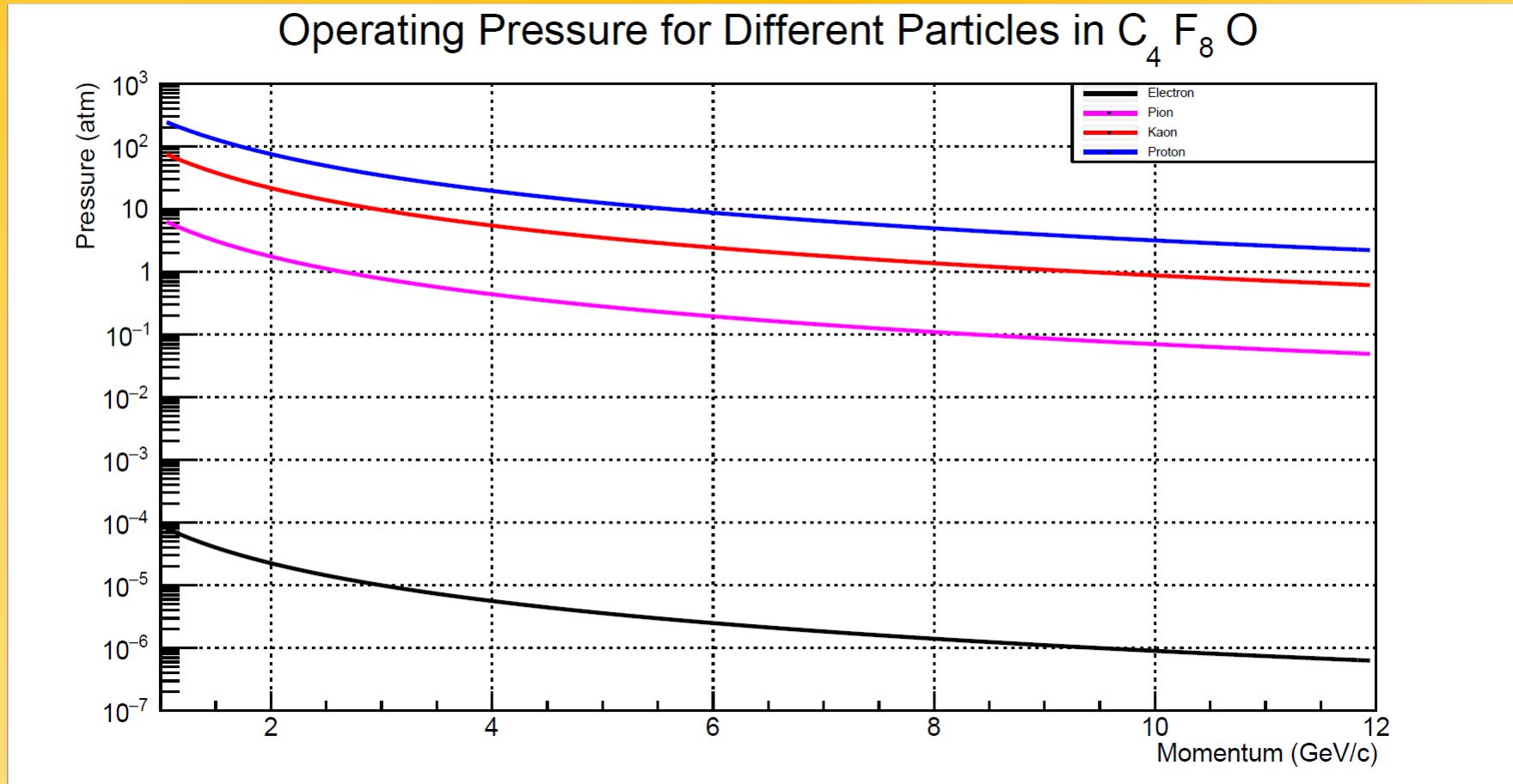
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- Fit with sum of Poisson and Gaussian Distribution

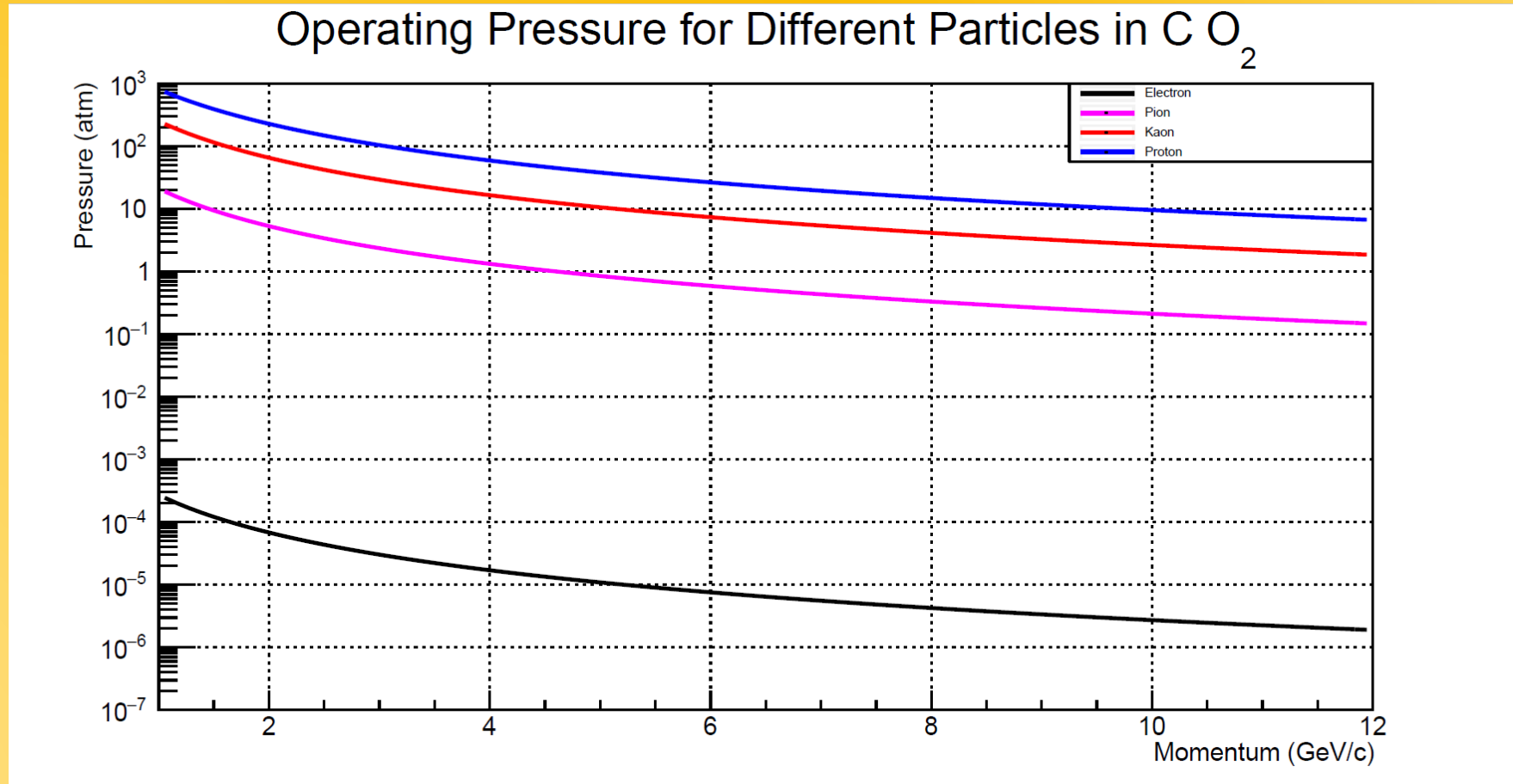
$$\frac{\mu^x e^{-\mu}}{\Gamma(x+1)} + e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$



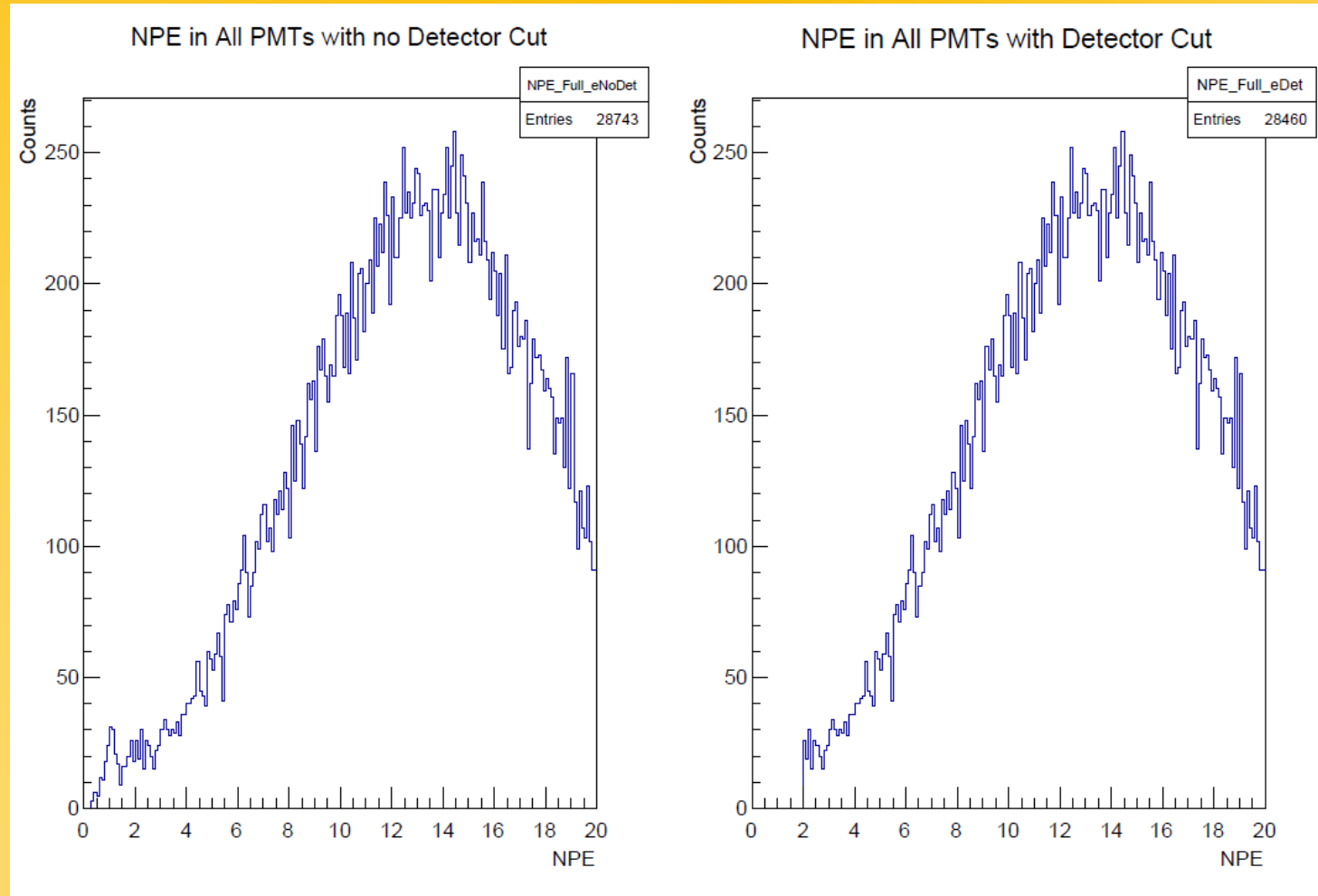
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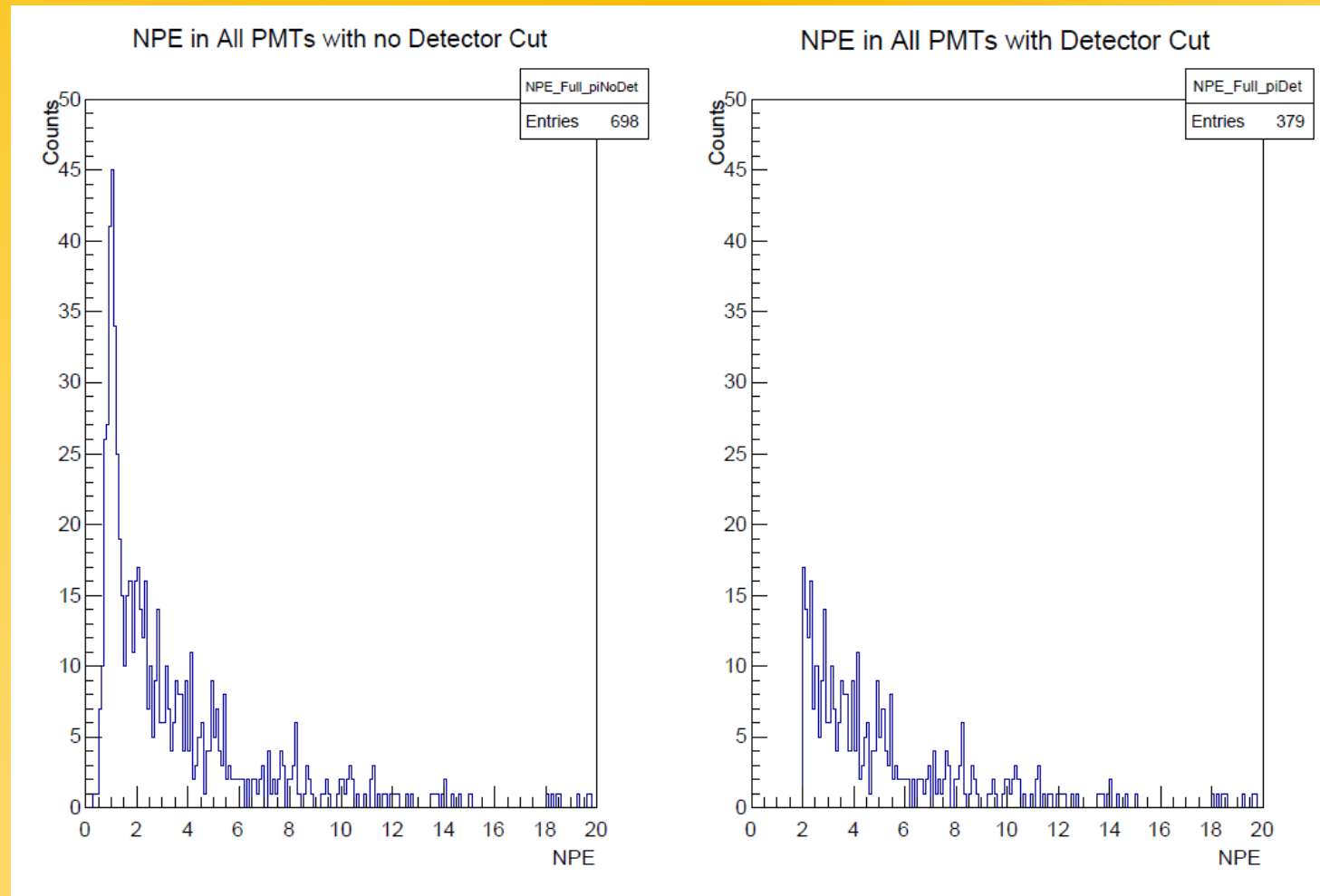
Detector Calibration



Detector Calibration



Detector Calibration



Run Conditions

- Run 1583
 - SHMS set to -2.214 GeV with 10 uA beam, HGC filled with 1 atm CO₂
- Run 3423
 - SHMS set to +5.05 GeV with 10 uA beam, HGC filled with 1 atm C₄F₈O