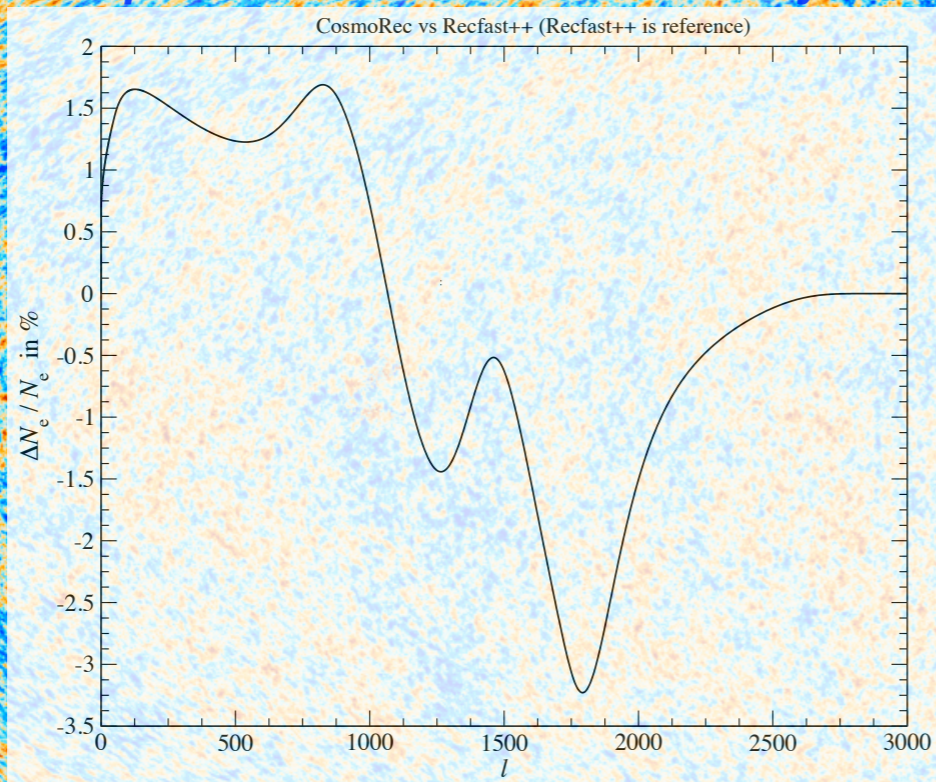
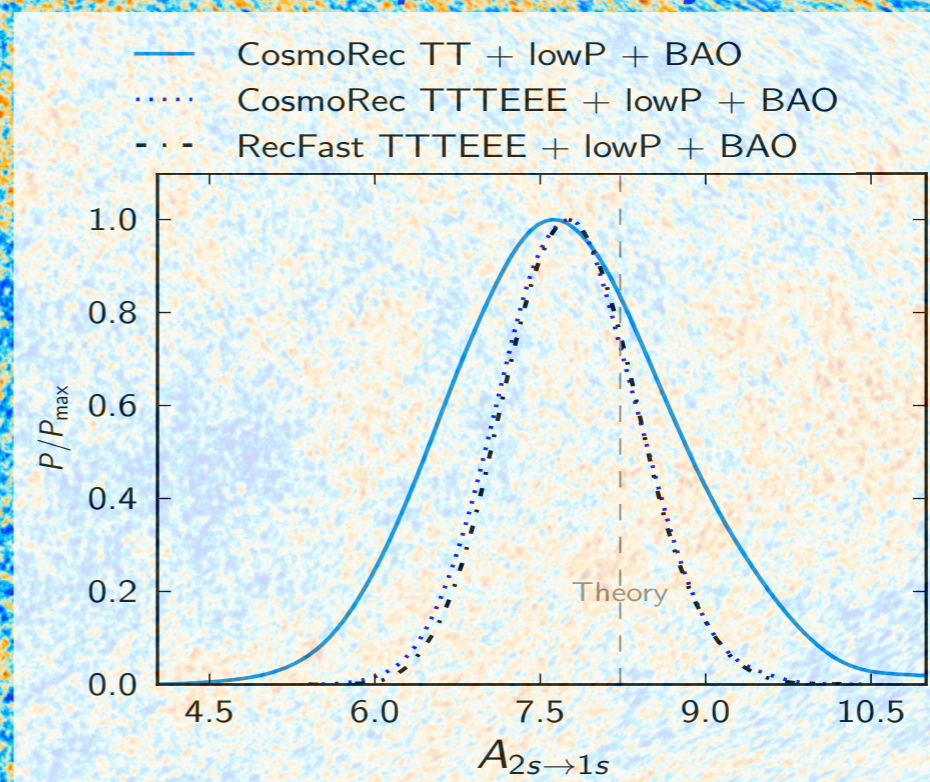


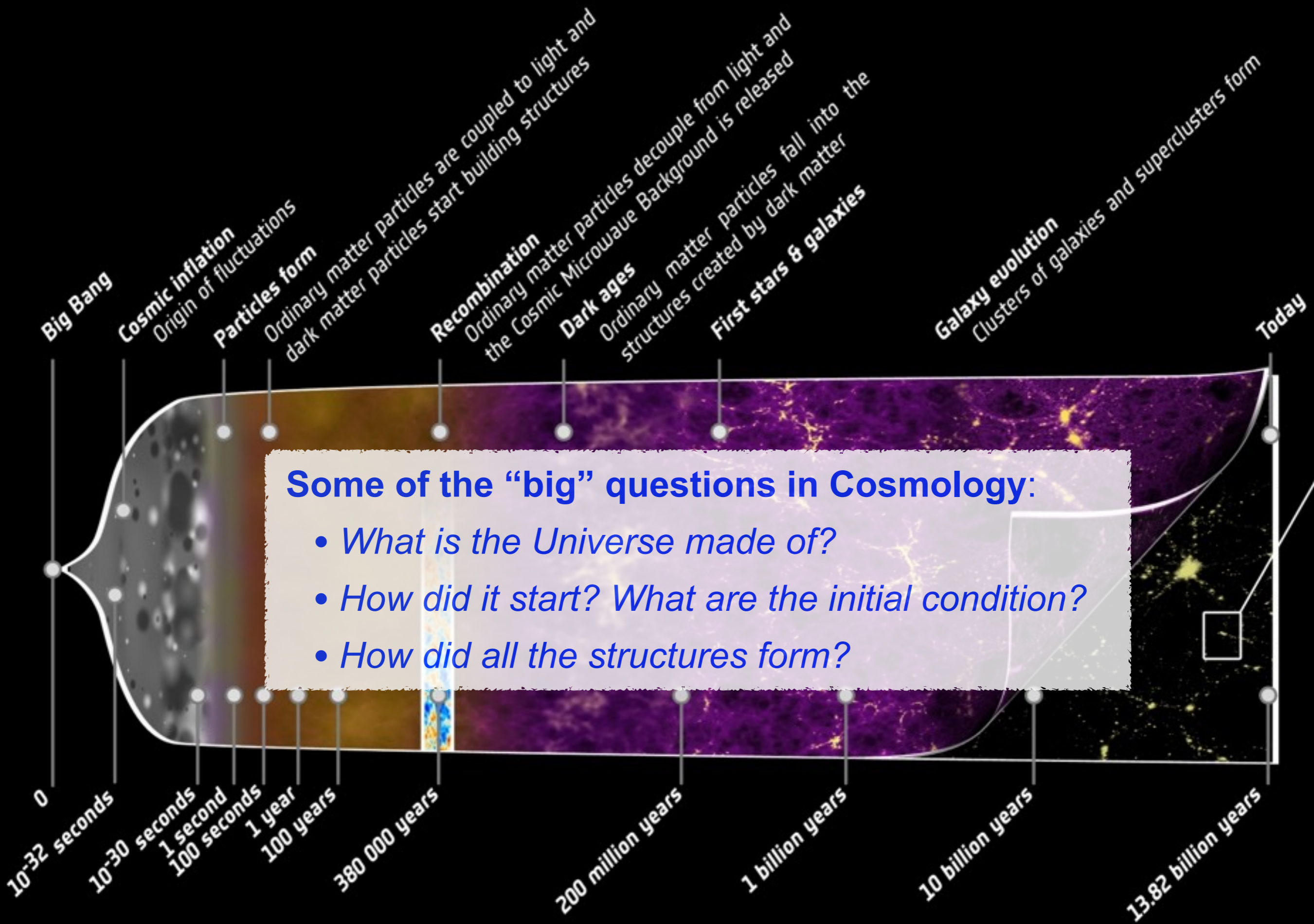
Introduction to Recombination Physics and Why it is Important for Cosmology and Early-Universe Physics

Improved Recombination History

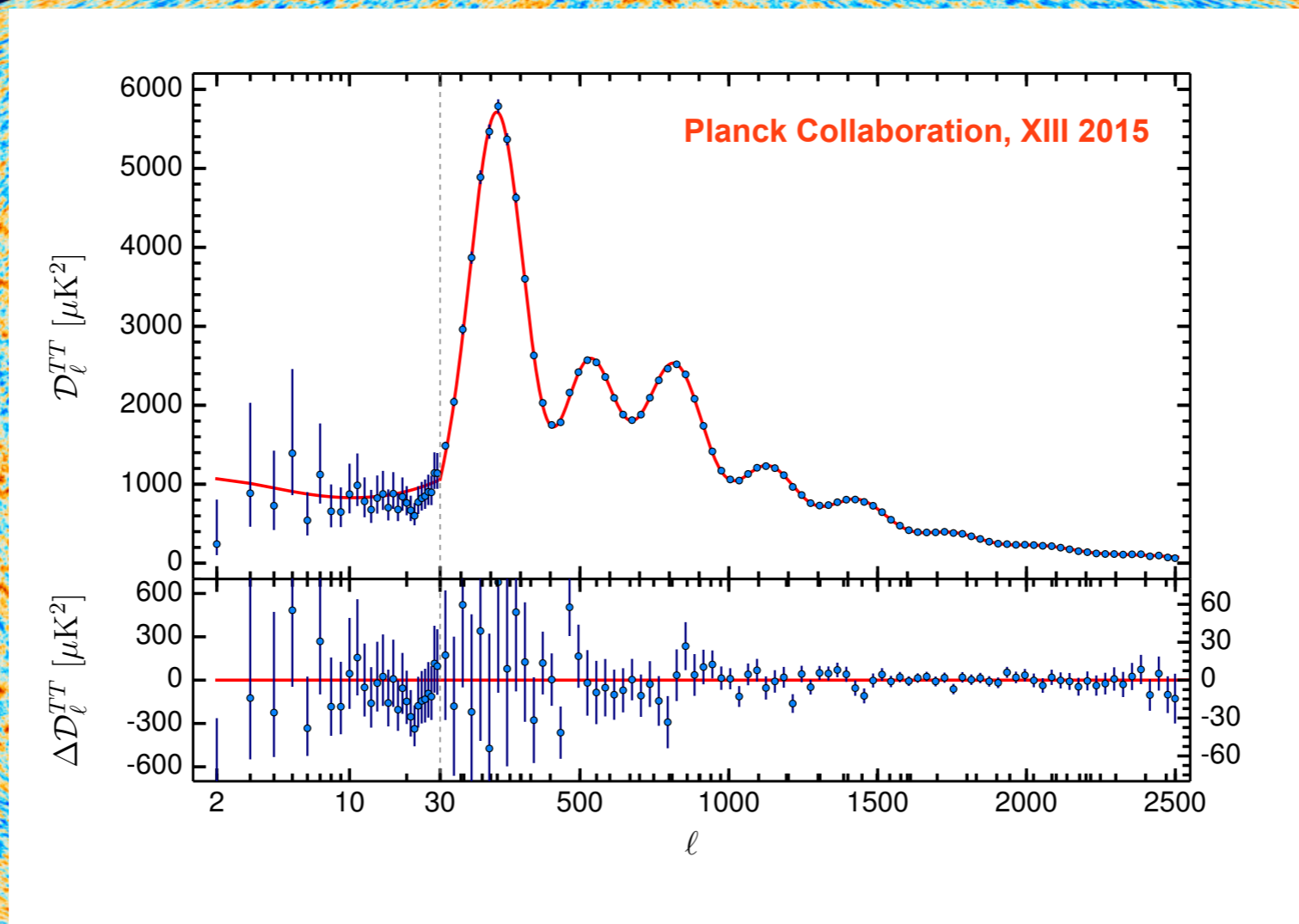


HI 2s-1s two-photon decay rate





Cosmic Microwave Background Anisotropies

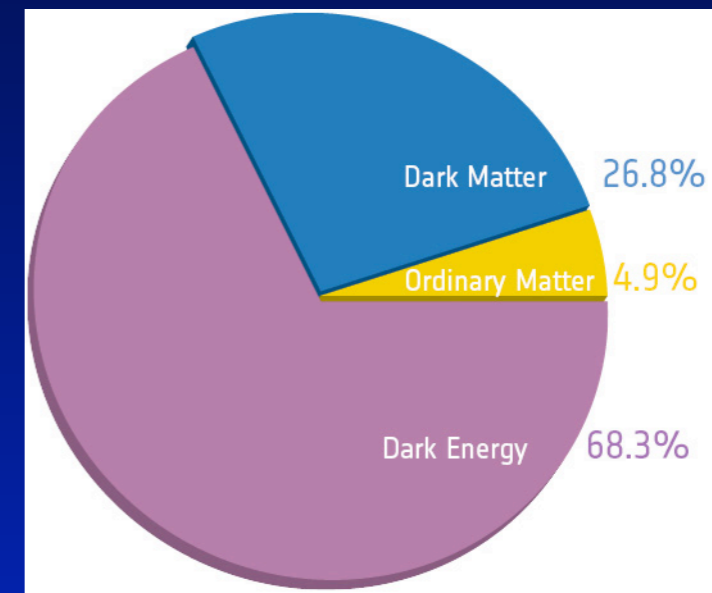


Planck all sky map

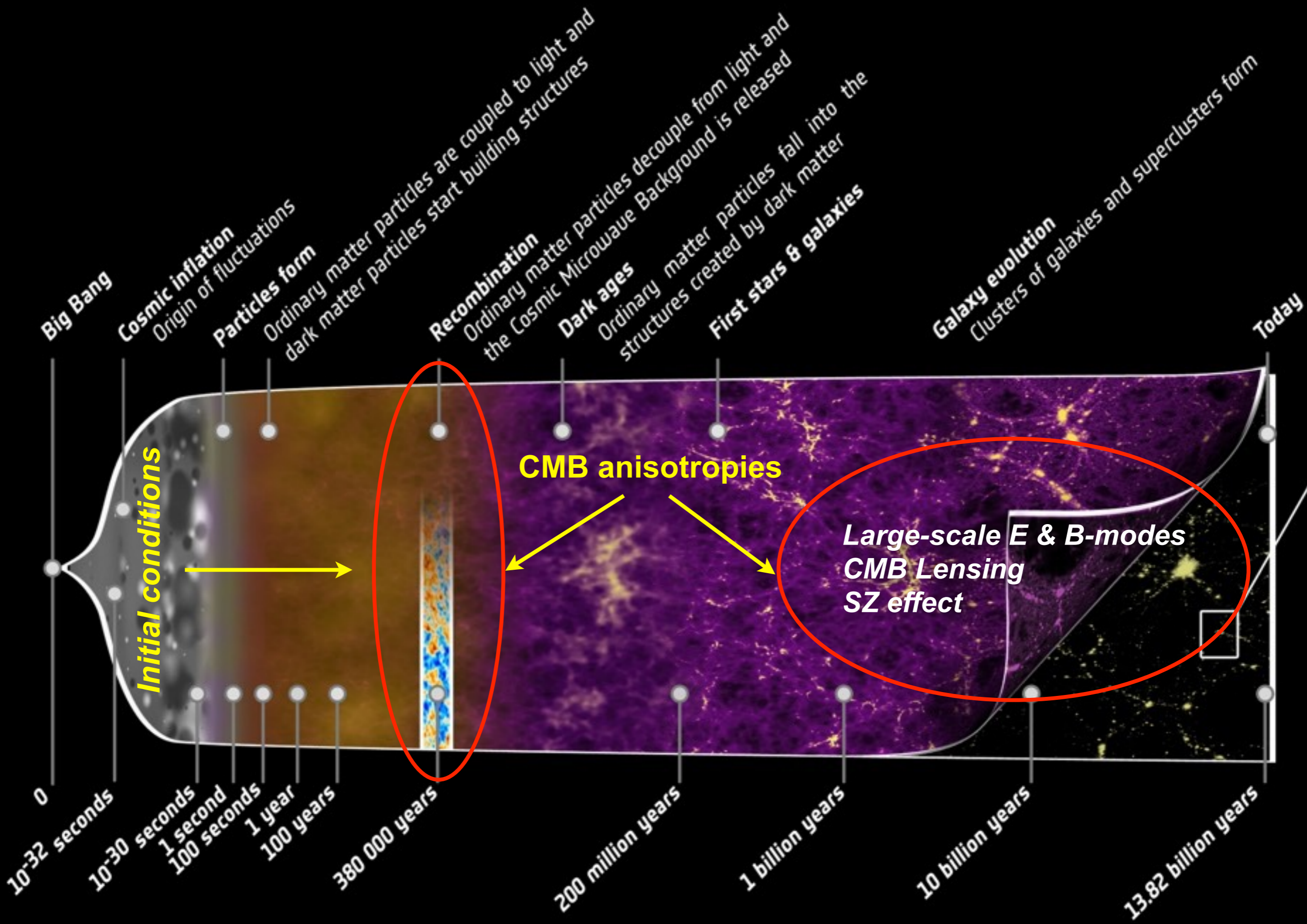
- CMB has a blackbody spectrum in every direction
- tiny variations of the CMB temperature $\Delta T/T \sim 10^{-5}$

CMB anisotropies (with SN, LSS, etc...) clearly taught us a lot about the Universe we live in!

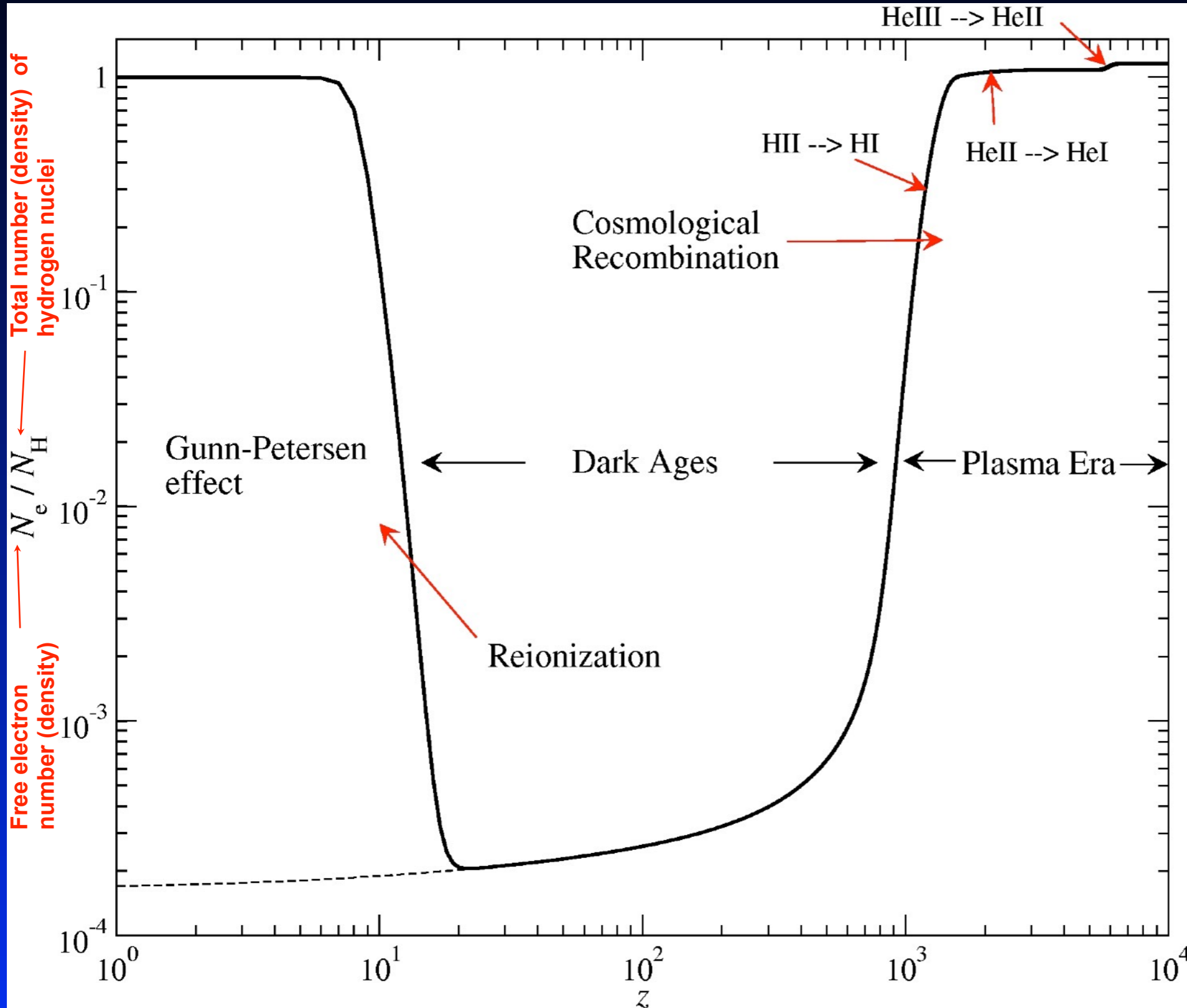
- Standard 6 parameter concordance cosmology with parameters known to percent level precision
- Gaussian-distributed adiabatic fluctuations with nearly scale-invariant power spectrum over a wide range of scales
- cold dark matter (“CDM”)
- accelerated expansion today (“ Λ ”)
- Standard BBN scenario $\rightarrow N_{\text{eff}}$ and Y_p
- Standard ionization history $\rightarrow N_e(z)$



Parameter	TT+lowP 68 % limits	TT+lowP+lensing 68 % limits	TT+lowP+lensing+ext 68 % limits	TT,TE,EE+lowP 68 % limits	TT,TE,EE+lowP+lensing 68 % limits	TT,TE,EE+lowP+lensing+ext 68 % limits
$\Omega_b h^2$	0.02222 ± 0.00023	0.02226 ± 0.00023	0.02227 ± 0.00020	0.02225 ± 0.00016	0.02226 ± 0.00016	0.02230 ± 0.00014
$\Omega_c h^2$	0.1197 ± 0.0022	0.1186 ± 0.0020	0.1184 ± 0.0012	0.1198 ± 0.0015	0.1193 ± 0.0014	0.1188 ± 0.0010
$100\theta_{\text{MC}}$	1.04085 ± 0.00047	1.04103 ± 0.00046	1.04106 ± 0.00041	1.04077 ± 0.00032	1.04087 ± 0.00032	1.04093 ± 0.00030
τ	0.078 ± 0.019	0.066 ± 0.016	0.067 ± 0.013	0.079 ± 0.017	0.063 ± 0.014	0.066 ± 0.012
$\ln(10^{10} A_s)$	3.089 ± 0.036	3.062 ± 0.029	3.064 ± 0.024	3.094 ± 0.034	3.059 ± 0.025	3.064 ± 0.023
n_s	0.9655 ± 0.0062	0.9677 ± 0.0060	0.9681 ± 0.0044	0.9645 ± 0.0049	0.9653 ± 0.0048	0.9667 ± 0.0040



Sketch of the Cosmic Ionization History



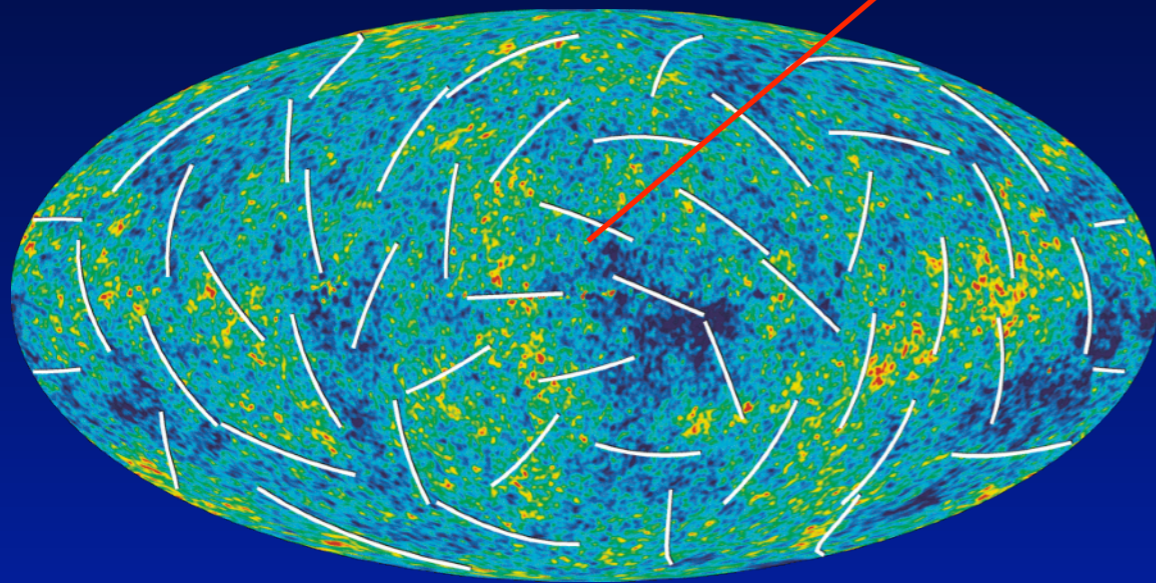
- at redshifts higher than $\sim 10^4$ Universe \rightarrow *fully ionized*
- $z \geq 10^4 \rightarrow$ *free electron fraction* $N_e/N_H \sim 1.16$ (Helium has 2 electrons and abundance $\sim 8\%$)
- $\text{HeIII} \rightarrow \text{HeII}$ recombination at $z \sim 6000$
- $\text{HeII} \rightarrow \text{HeI}$ recombination at $z \sim 2000$
- $\text{HII} \rightarrow \text{HI}$ recombination at $z \sim 1000$

CMB Sky \rightarrow Cosmology

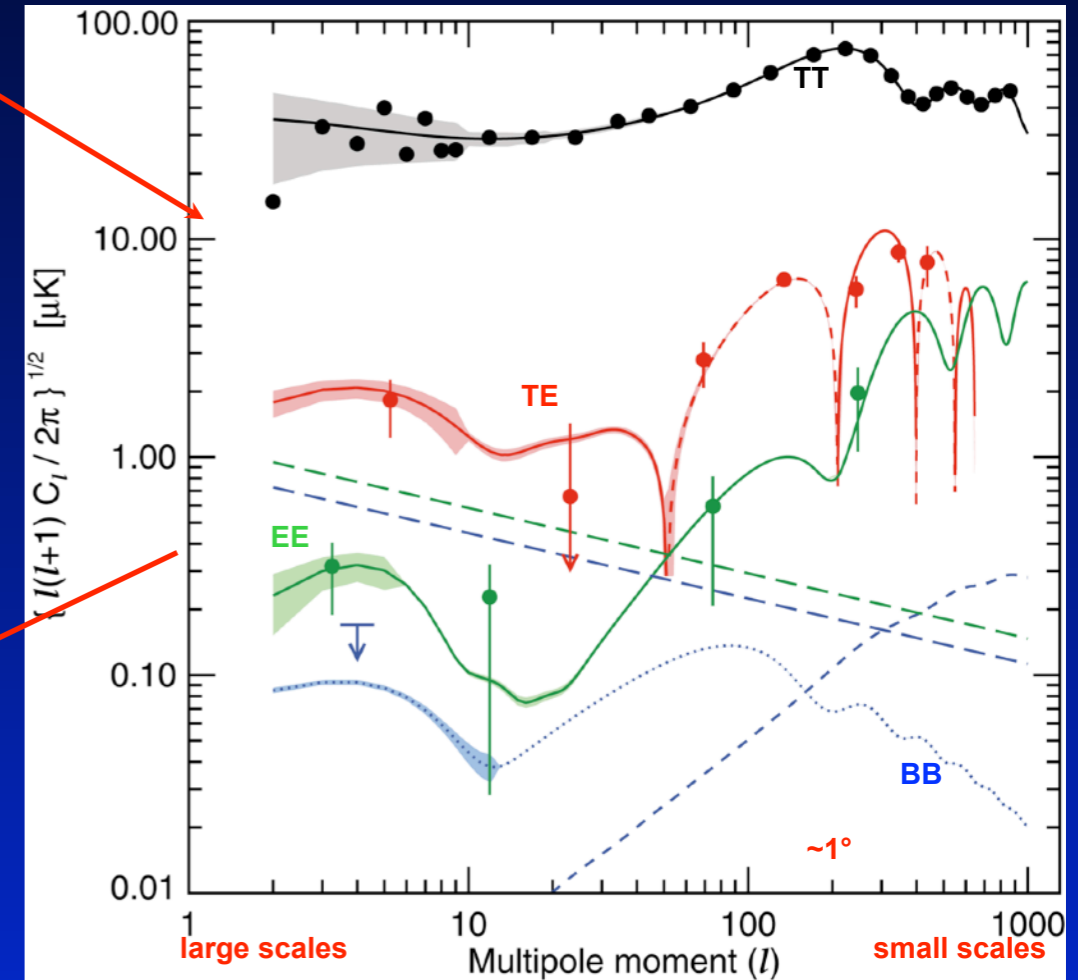
$N_e(z)$ is a crucial input

Power spectra

WMAP CMB Sky



a_{lm}



(Joint) analysis

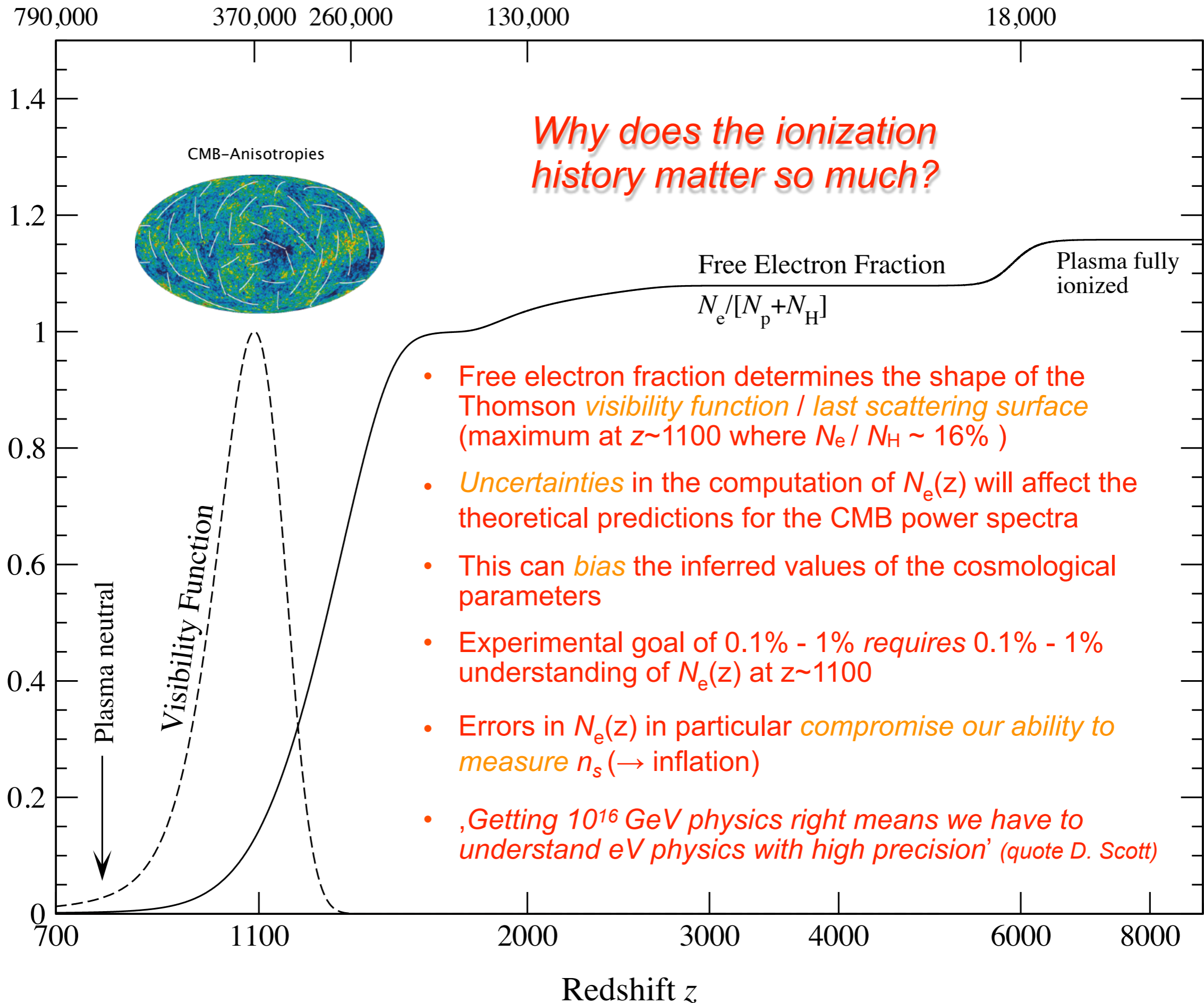
Cosmological Parameters

$\Omega_{tot}, \Omega_m, \Omega_b, \Omega_\Lambda,$
 h, τ, n_s, \dots

Other cosmological Dataset:

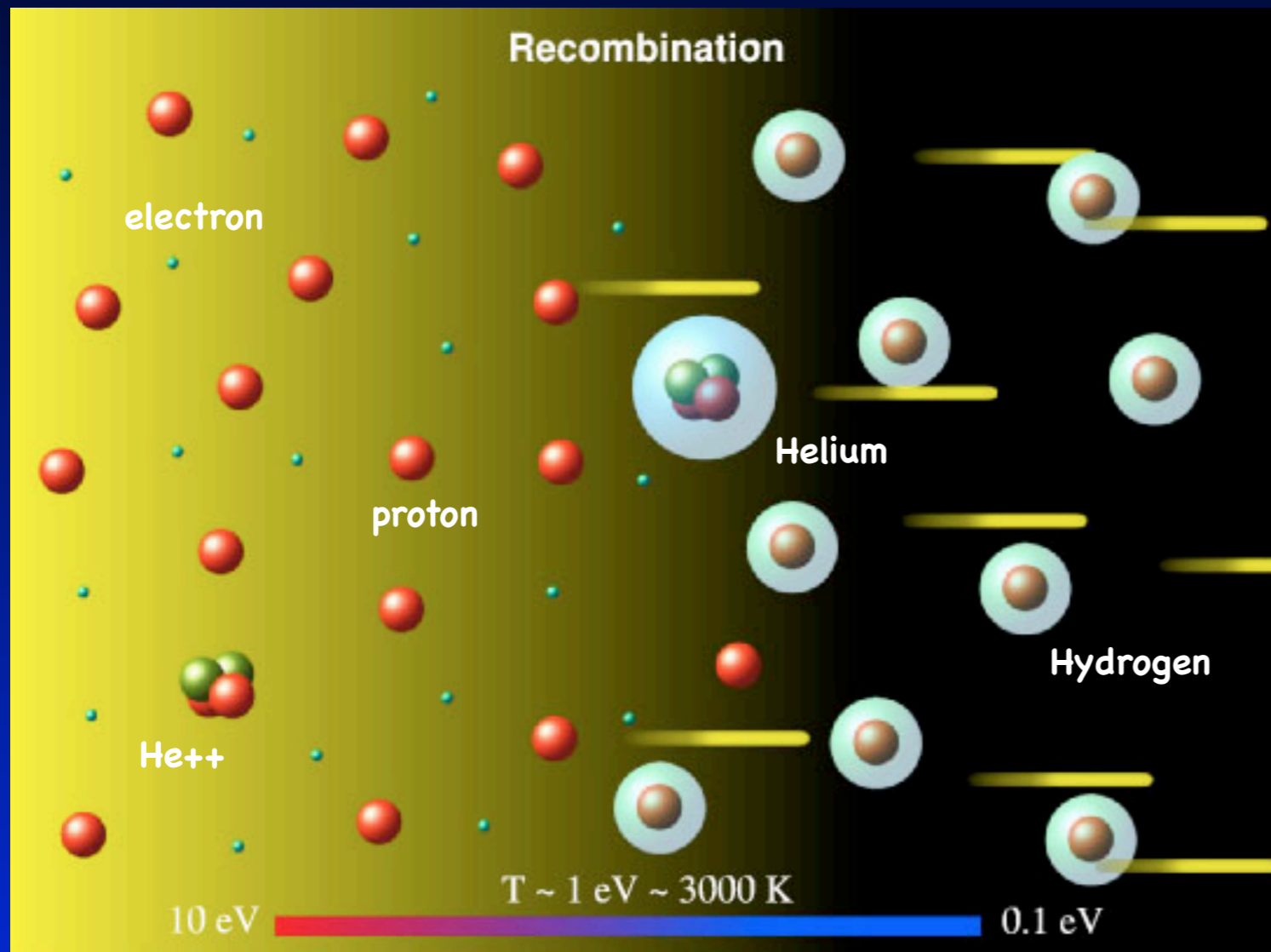
small-scale CMB, Supernovae, large-scale structure/
BAO, Lyman- α forest, lensing, ...

Cosmological Time in Years



How does cosmological recombination work?

What is the recombination problem about?



- coupled system describing the interaction of *matter* with the ambient CMB *photon* field
- atoms can be in different excitation states
⇒ *lots of levels to worry about*
- recombination process changes Wien tail of CMB and this affects the recombination dynamics
⇒ *radiative transfer problem*

Have to follow evolution of: N_e, T_e, N_p, N_i and ΔI_ν

electron temperature

number densities

non-thermal photons

Only problem in time!

Physical Conditions during Recombination

- Anisotropies negligible for recombination problem
- Temperature $T_\gamma \sim 2.725 (1+z) \text{ K} \sim 3000 \text{ K}$
- Baryon number density $N_b \sim 2.5 \times 10^{-7} \text{ cm}^{-3} (1+z)^3 \sim 330 \text{ cm}^{-3}$
- Photon number density $N_\gamma \sim 410 \text{ cm}^{-3} (1+z)^3 \sim 2 \times 10^9 N_b$
 \Rightarrow photons in very distant Wien tail of blackbody spectrum can keep hydrogen ionized until $h\nu_\alpha \sim 40 kT_\gamma \Leftrightarrow T_\gamma \sim 0.26 \text{ eV}$ (Ly-c 13.6 eV!)
- Collisional processes negligible (*completely different in stars!!!*)
- Rates dominated by radiative processes
(e.g. stimulated emission & stimulated recombination)
- Compton interaction couples electrons very tightly to photons until $z \sim 200 \Rightarrow T_\gamma \sim T_e \sim T_m$

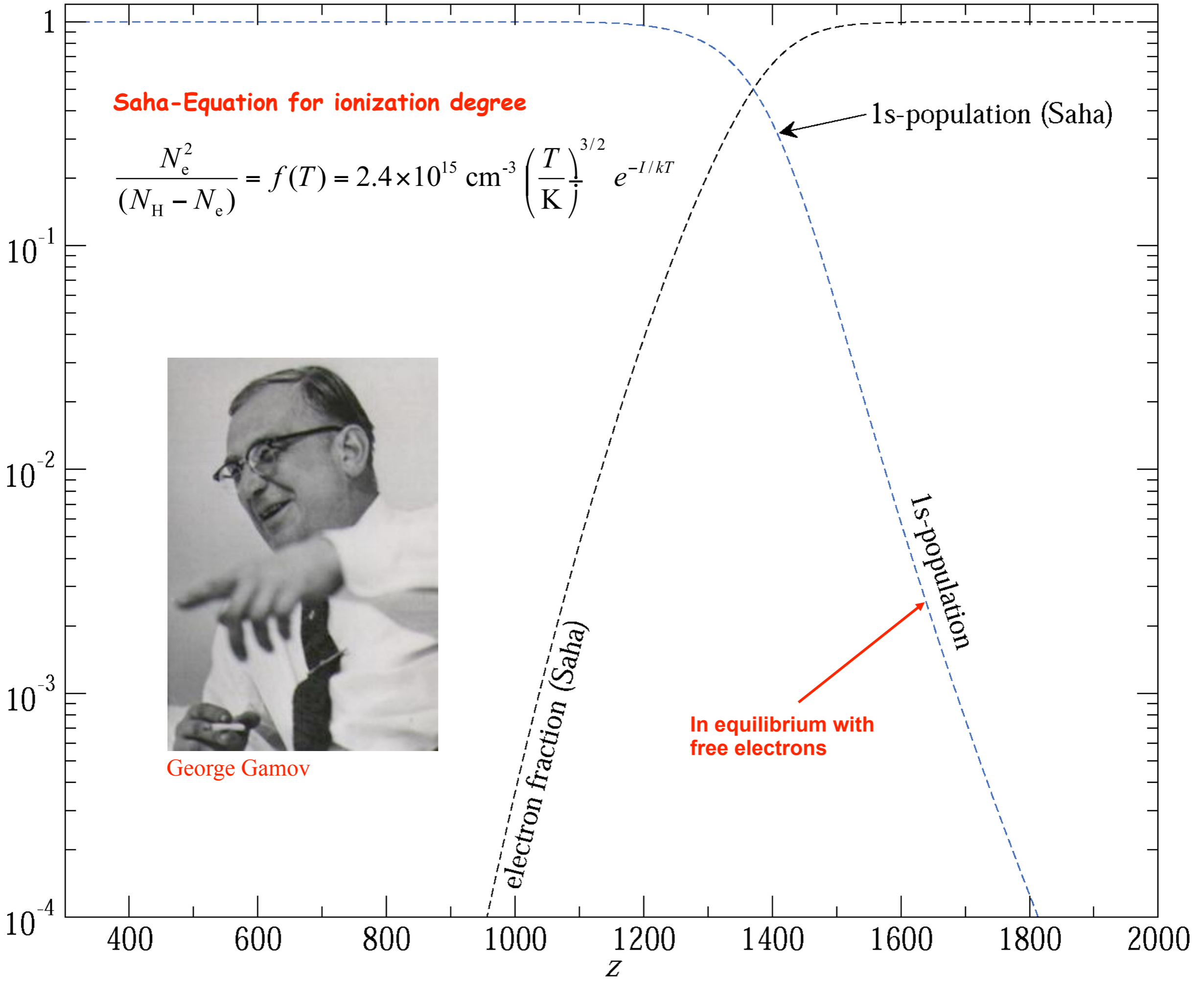
(number) density of given species i $\rightarrow N_i / N_H$ \rightarrow Total number (density) of hydrogen nuclei

Saha-Equation for ionization degree

$$\frac{N_e^2}{(N_H - N_e)} = f(T) = 2.4 \times 10^{15} \text{ cm}^{-3} \left(\frac{T}{\text{K}} \right)^{3/2} e^{-I/kT}$$



George Gamov

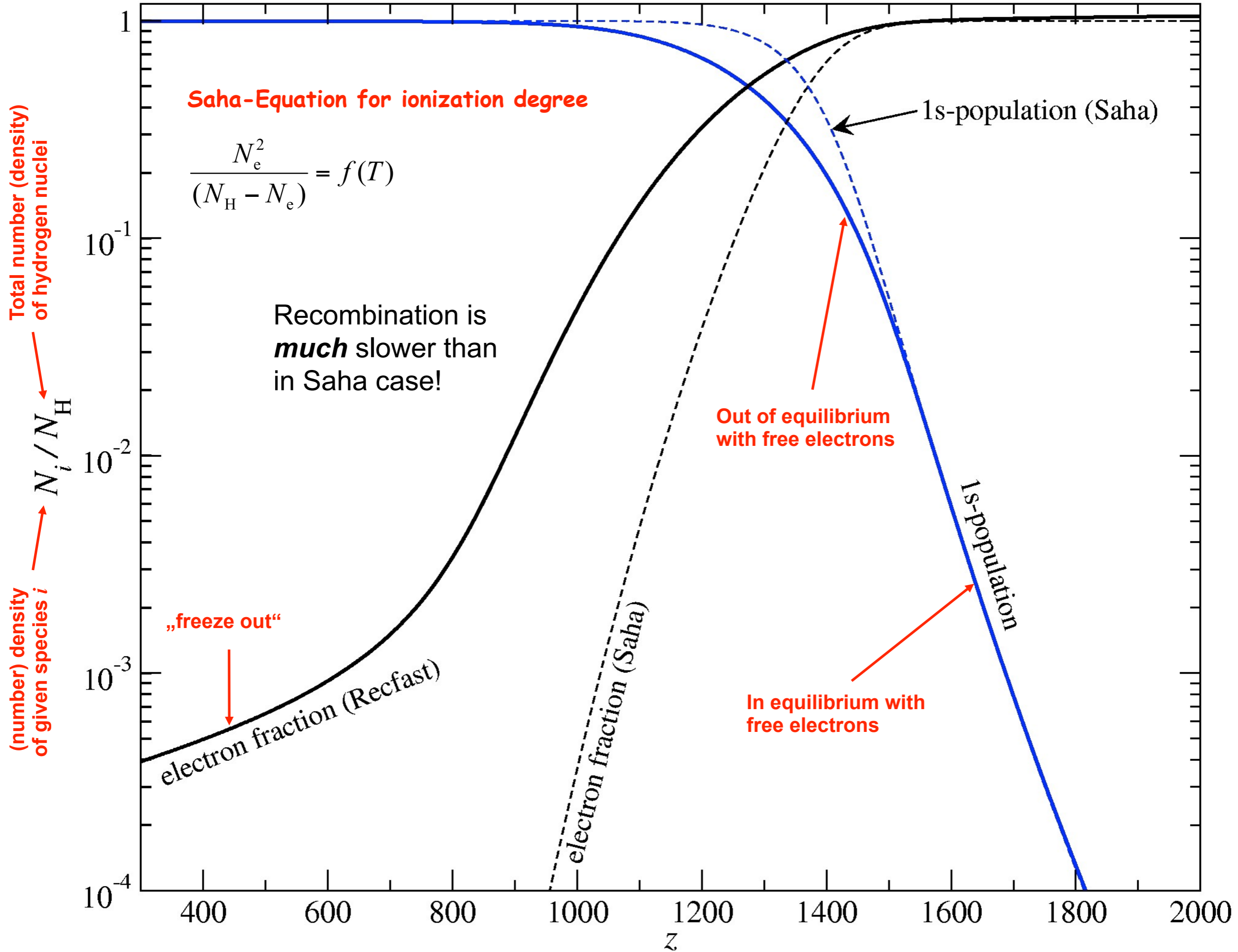


electron fraction (Saha)

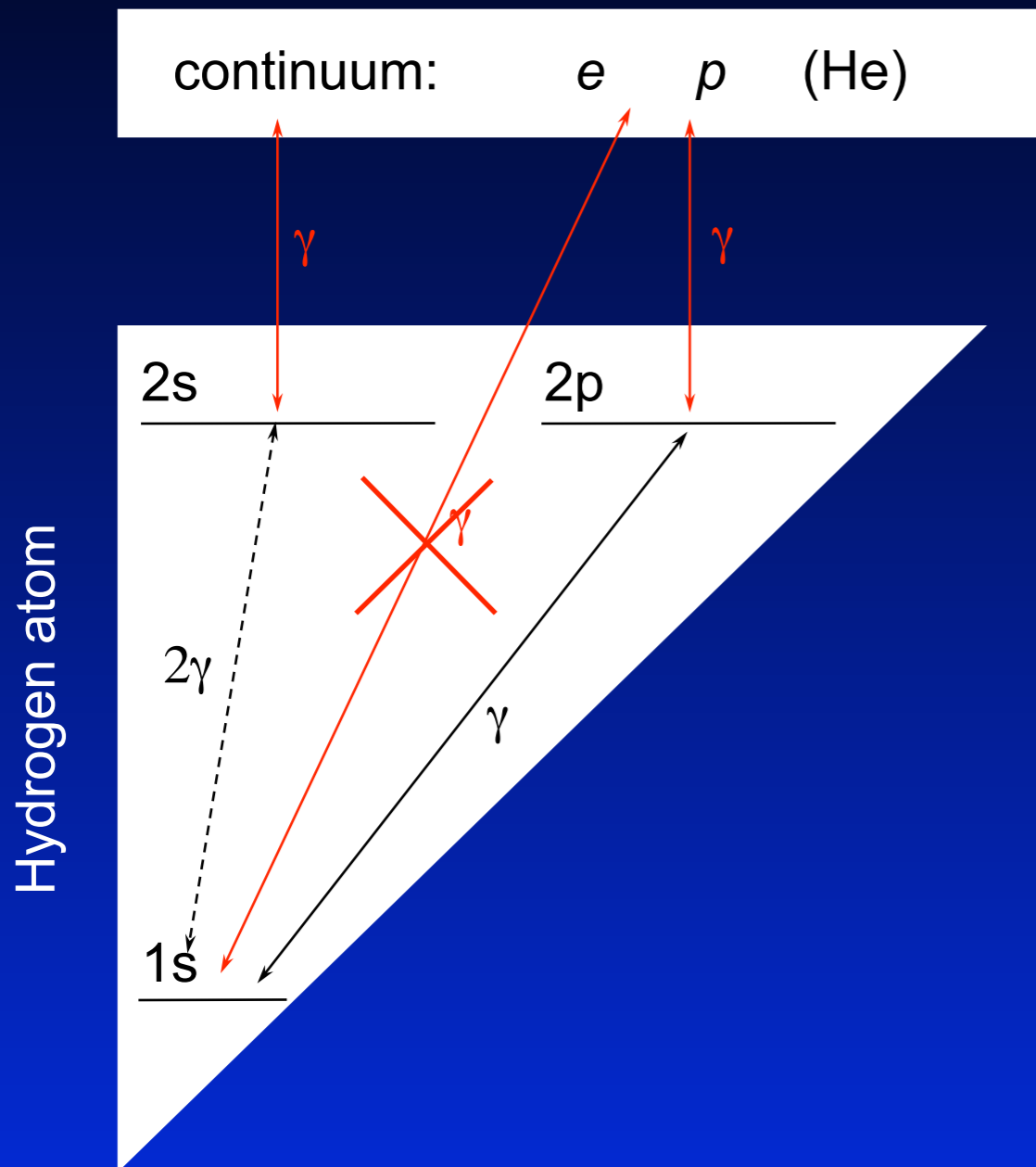
1s-population (Saha)

1s-population

In equilibrium with free electrons



3-level Hydrogen Atom and Continuum



Routes to the ground state ?

- **direct recombination to 1s**
 - Emission of photon is followed by immediate re-absorption
- **recombination to 2p followed by Lyman- α emission**
 - medium optically thick to Ly- α phot.
 - many resonant scatterings
 - escape very hard ($p \sim 10^{-9}$ @ $z \sim 1100$)
- **recombination to 2s followed by 2s two-photon decay**
 - $2s \rightarrow 1s \sim 10^8$ times slower than Ly- α
 - 2s two-photon decay profile \rightarrow maximum at $\nu \sim 1/2 \nu_\alpha$
 - immediate escape

No

~ 43%

~ 57%

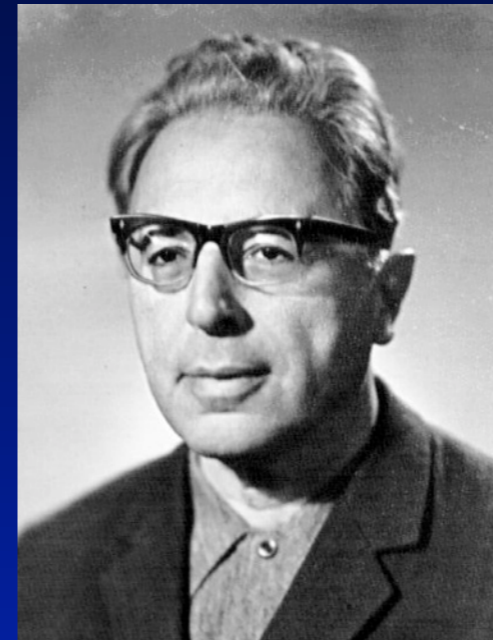
Zeldovich, Kurt & Sunyaev, 1968, ZhETF, 55, 278
 Peebles, 1968, ApJ, 153, 1

$$\Delta N_e / N_e \sim 10\% - 20\%$$

These first computations were completed in 1968!

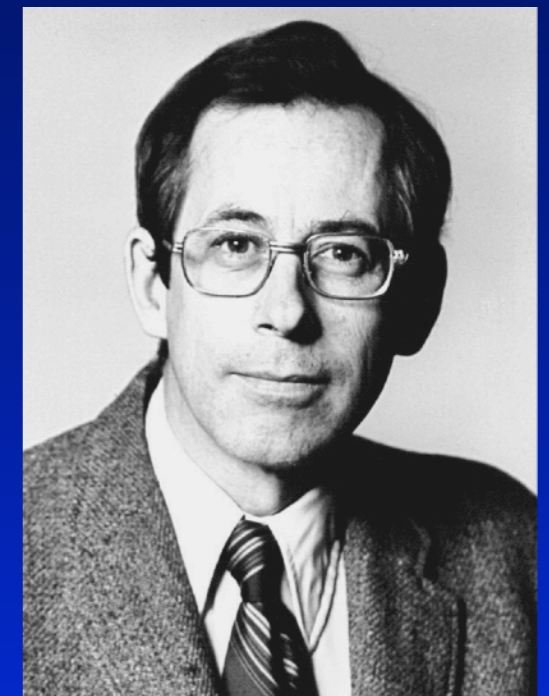


Moscow



Iosif Shklovskii

Princeton



Jim Peebles

Yakov Zeldovich



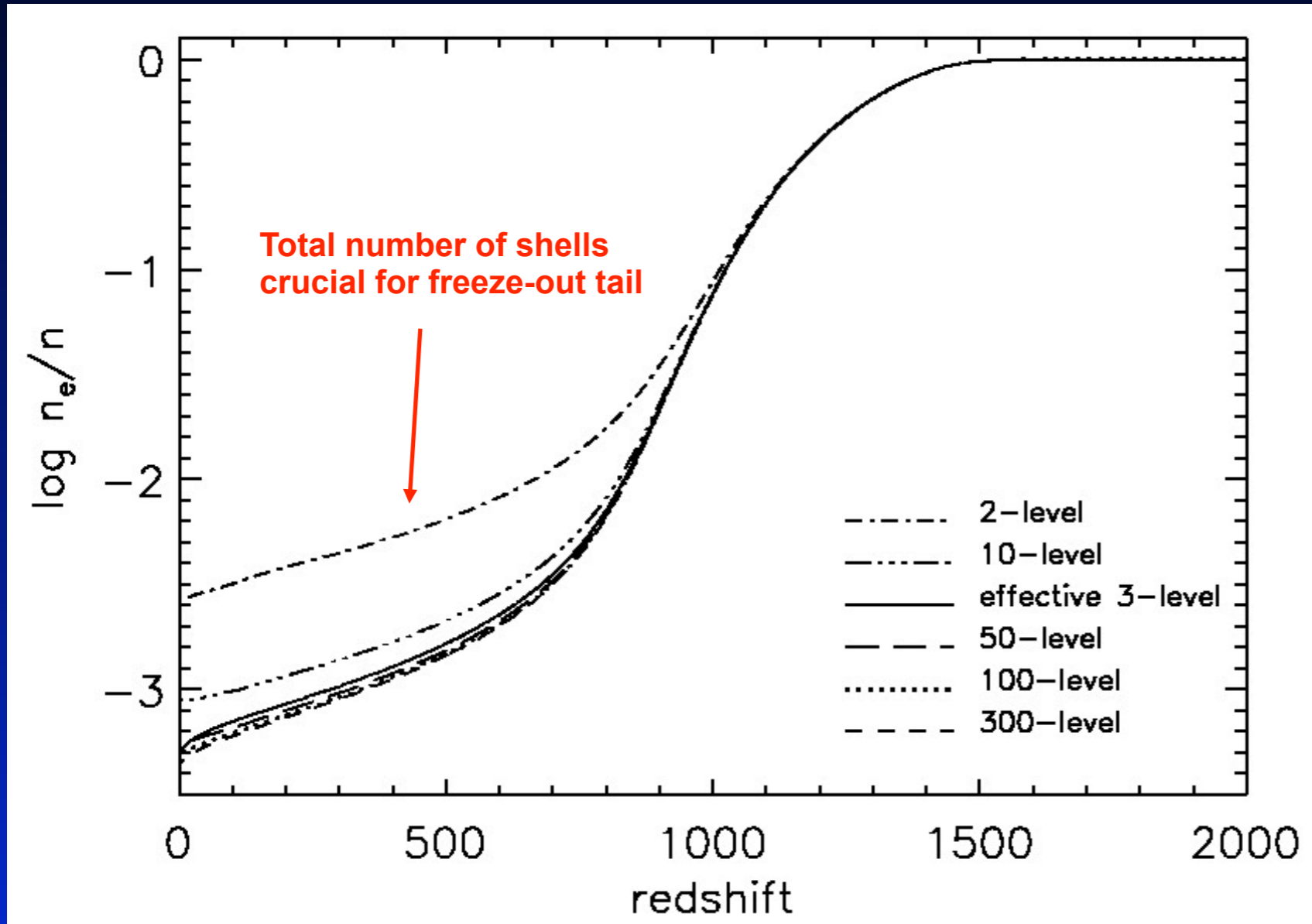
Vladimir Kurt
(UV astronomer)



Rashid Sunyaev

Let's do the simple 3-level atom derivation?

Multi-level Atom \Leftrightarrow Recfast-Code



Output of N_e/N_H

Hydrogen:

- up to 300 levels (shells)
- $n \geq 2 \rightarrow$ full SE for l -sub-states

Helium:

- HeI 200-levels ($z \sim 1400-1500$)
- HeII 100-levels ($z \sim 6000-6500$)
- HeIII 1 equation

Low Redshifts:

- H chemistry (only at low z)
- cooling of matter (Bremsstrahlung, collisional cooling, line cooling)

Seager, Sasselov & Scott, 1999, ApJL, 523, L1
Seager, Sasselov & Scott, 2000, ApJS, 128, 407

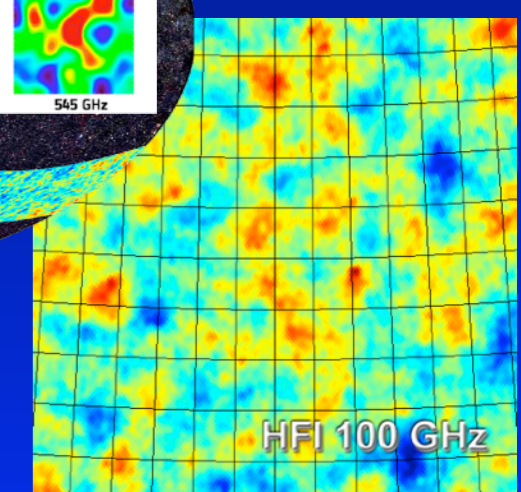
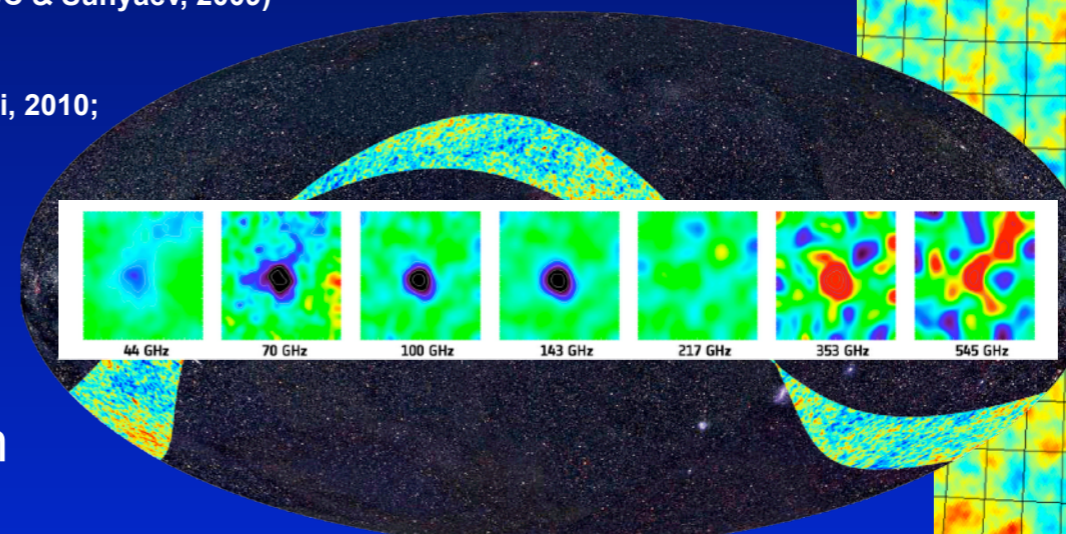
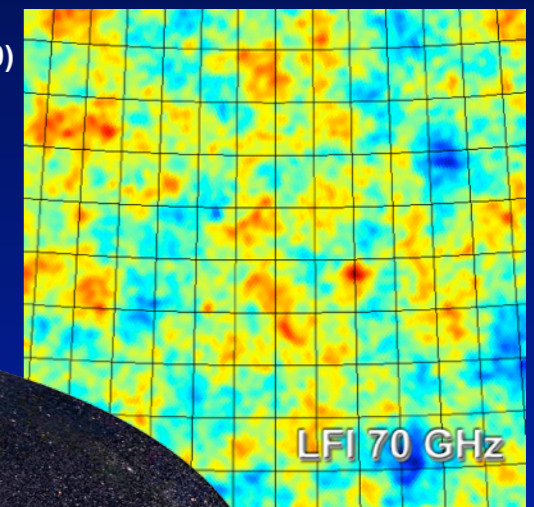
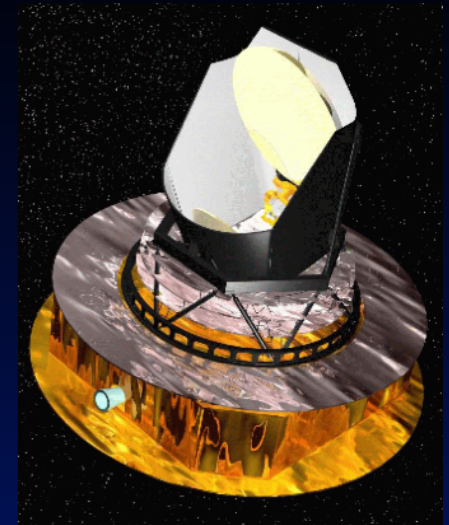
RECFAST reproduces the result of detailed recombination calculation using fudge-functions

$$\Delta N_e / N_e \sim 1\% - 3\%$$

Getting the job done for *Planck*

Hydrogen recombination

- Two-photon decays from higher levels
(Dubrovich & Grachev, 2005, *Astr. Lett.*, 31, 359; Wong & Scott, 2007; JC & Sunyaev, 2007; Hirata, 2008; JC & Sunyaev 2009)
- Induced 2s two-photon decay for hydrogen
(JC & Sunyaev, 2006, *A&A*, 446, 39; Hirata 2008)
- Feedback of the Lyman- α distortion on the 1s-2s two-photon absorption rate
(Kholupenko & Ivanchik, 2006, *Astr. Lett.*; Fendt et al. 2008; Hirata 2008)
- Non-equilibrium effects in the angular momentum sub-states
(Rubiño-Martín, JC & Sunyaev, 2006, *MNRAS*; JC, Rubiño-Martín & Sunyaev, 2007, *MNRAS*; Grin & Hirata, 2009; JC, Vasil & Dursi, 2010)
- Feedback of Lyman-series photons ($\text{Ly}[n] \rightarrow \text{Ly}[n-1]$)
(JC & Sunyaev, 2007, *A&A*; Kholupenko et al. 2010; Haimoud, Grin & Hirata, 2010)
- Lyman- α escape problem (*atomic recoil, time-dependence, partial redistribution*)
(Dubrovich & Grachev, 2008; JC & Sunyaev, 2008; Forbes & Hirata, 2009; JC & Sunyaev, 2009)
- Collisions and Quadrupole lines
(JC, Rubiño-Martín & Sunyaev, 2007; Grin & Hirata, 2009; JC, Vasil & Dursi, 2010; JC, Fung & Switzer, 2011)
- Raman scattering
(Hirata 2008; JC & Thomas, 2010; Haimoud & Hirata, 2010)



Helium recombination

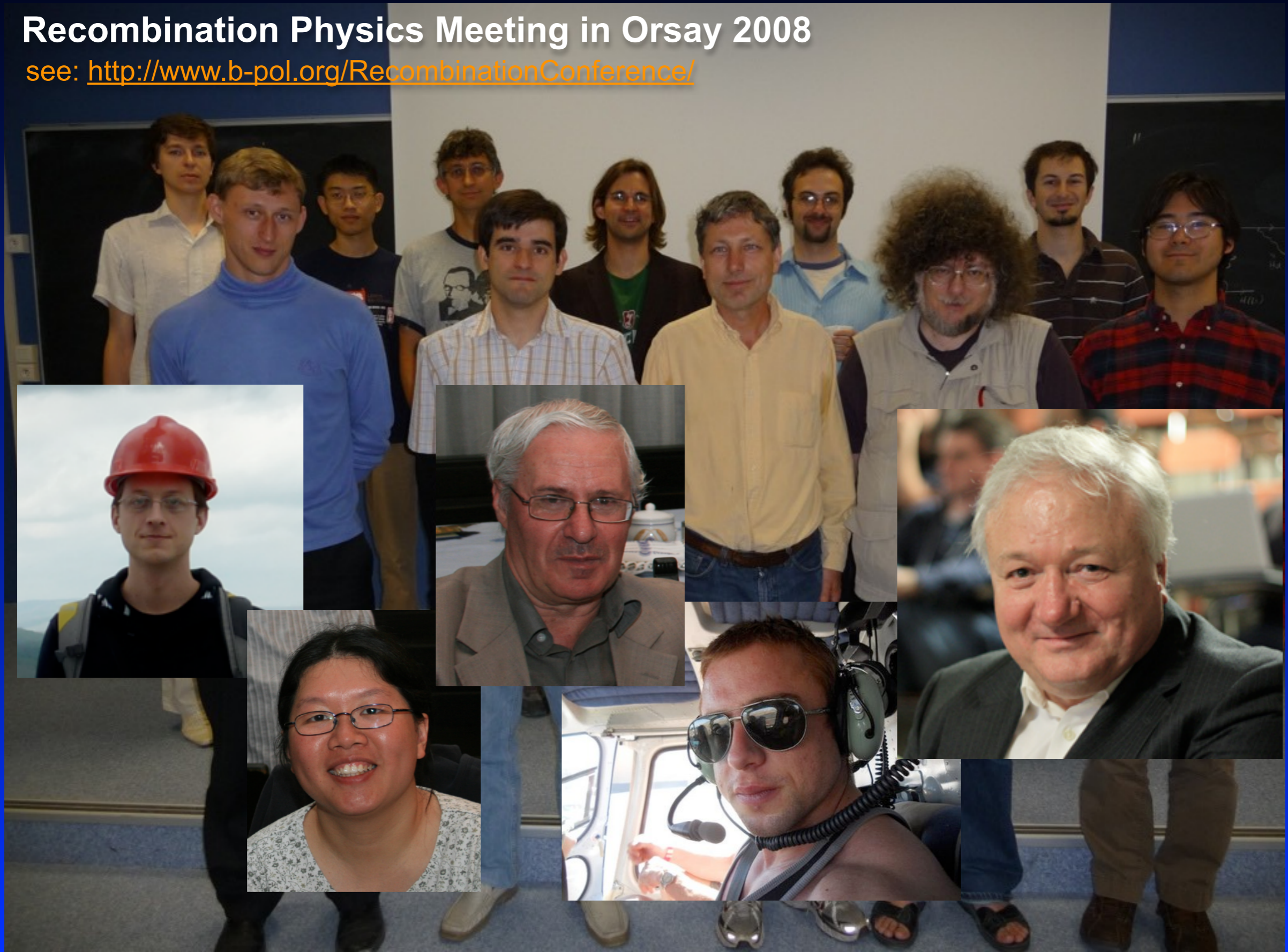
- Similar list of processes as for hydrogen
(Switzer & Hirata, 2007a&b; Hirata & Switzer, 2007)
- Spin forbidden 2p-1s triplet-singlet transitions
(Dubrovich & Grachev, 2005, *Astr. Lett.*; Wong & Scott, 2007; Switzer & Hirata, 2007; Kholupenko, Ivanchik&Varshalovich, 2007)
- Hydrogen continuum opacity during He I recombination
(Switzer & Hirata, 2007; Kholupenko, Ivanchik & Varshalovich, 2007; Rubiño-Martín, JC & Sunyaev, 2007; JC, Fung & Switzer, 2011)
- Detailed feedback of helium photons
(Switzer & Hirata, 2007a; JC & Sunyaev, 2009, *MNRAS*; JC, Fung & Switzer, 2011)

$$\Delta N_e / N_e \sim 0.1 \%$$

Solving the problem for the *Planck* Collaboration was a common effort!

Recombination Physics Meeting in Orsay 2008

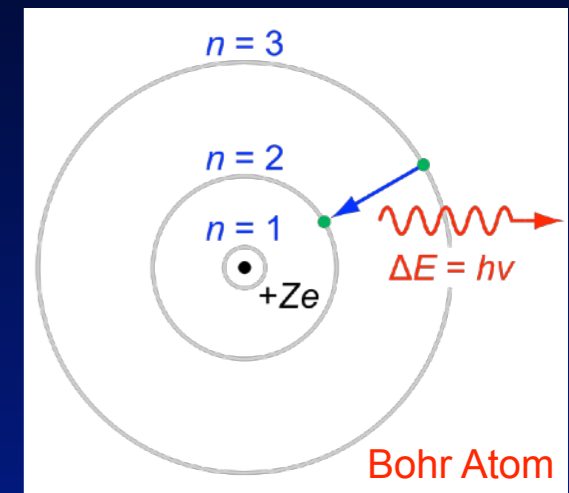
see: <http://www.b-pol.org/RecombinationConference/>



Atomic Physics Challenges

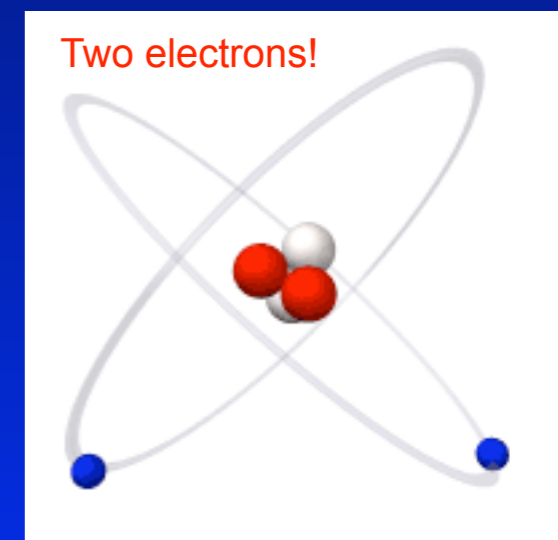
Hydrogen Atom & Hydrogenic Helium

- Rather simple and basically analytic (e.g., Karzas & Latter, 1961)
- Even 2γ rates can be computed precisely (e.g., Goepfert-Mayer, 1931)
- Collisional rates less robust, but effect small (new rates became available!)
- Biggest computational challenge is the number of levels ($\sim n^2$)

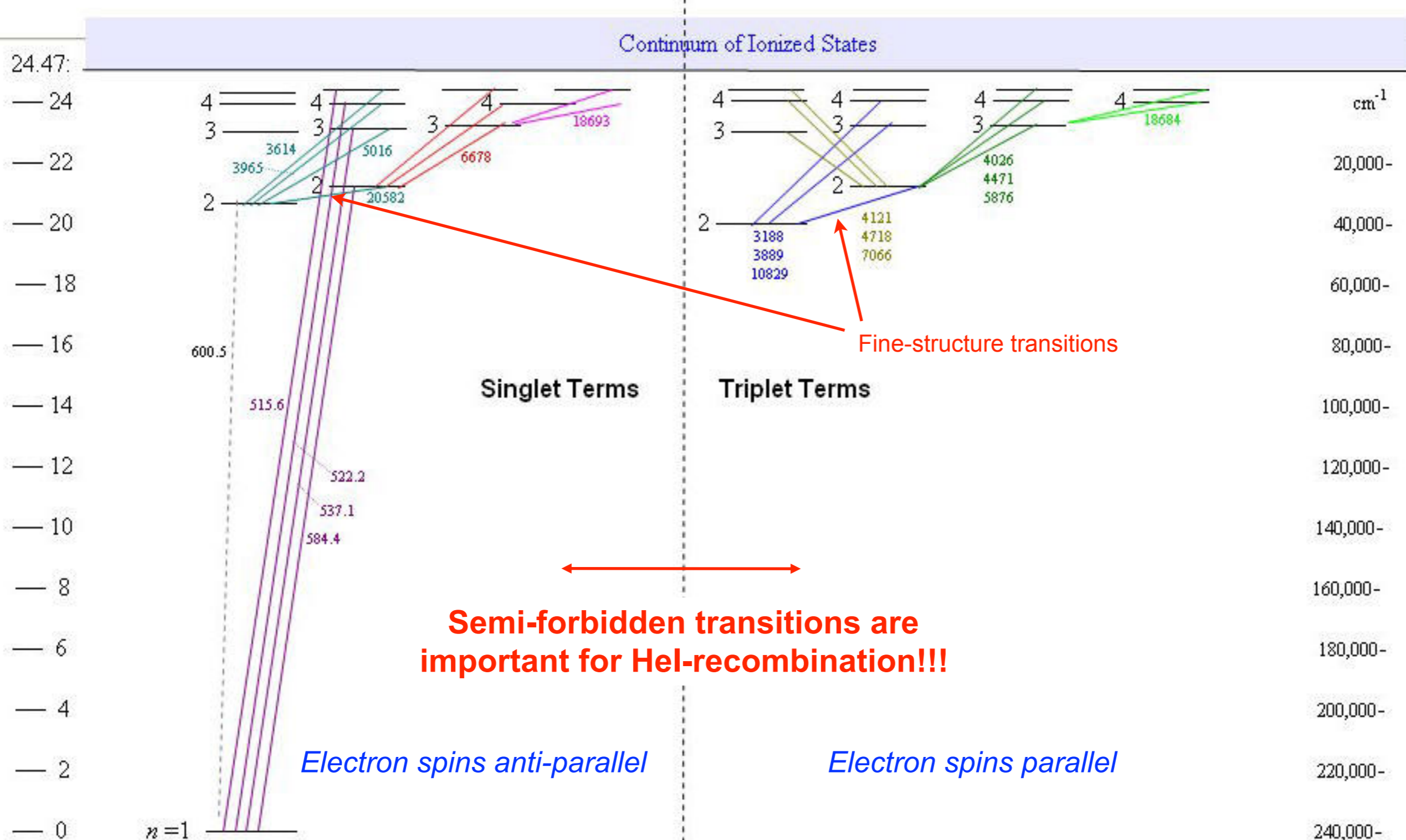


Neutral Helium

- Lower levels non-hydrogenic (perturbative approach needed)
- Spectrum complicated and data (was) rather sparse (e.g., Drake & Morton, 2007)



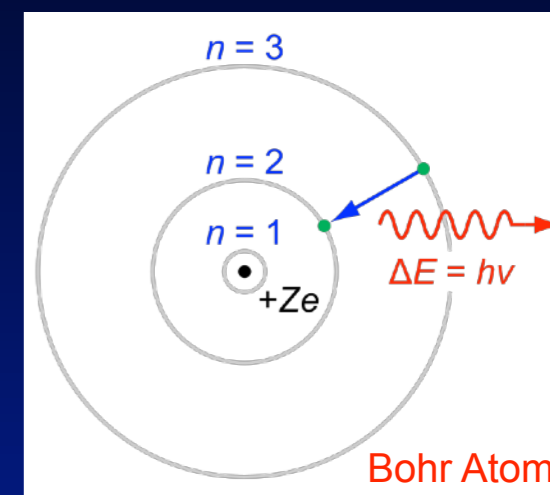
Grotrian diagram for neutral helium



Atomic Physics Challenges

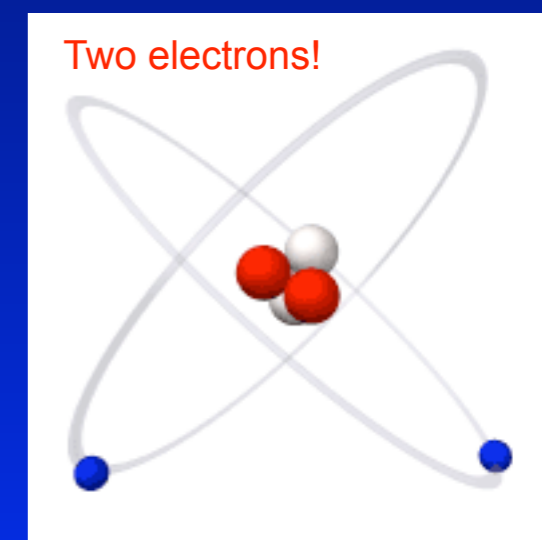
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Neutral Helium

- Lower levels non-hydrogenic (perturbative approach needed)
- Spectrum complicated and data (was) rather sparse (e.g., Drake & Morton, 2007)
- Collisional rate estimates pretty rough (important for distortions...)
- Computational challenge because of levels not as demanding if you only want to get the free electron fraction right (not true for spectrum...)



Stimulated HI 2s → 1s decay

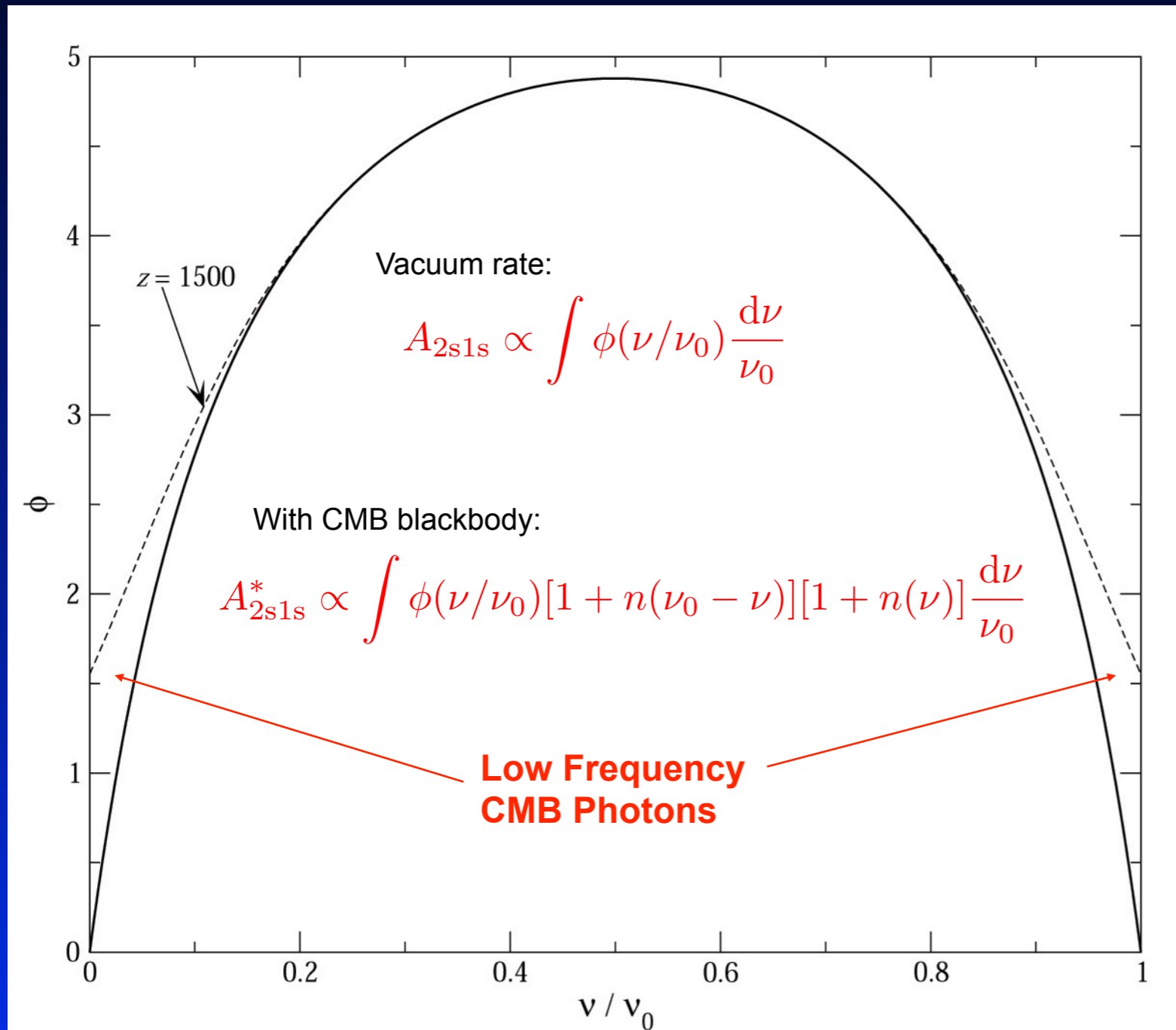
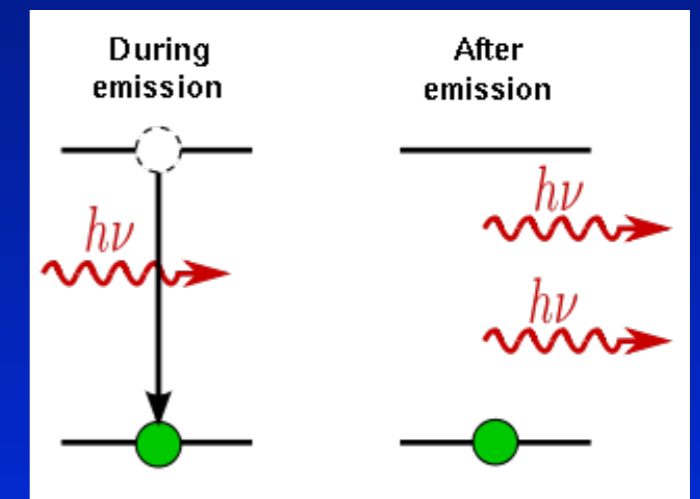
Transition rate in vacuum

$$\rightarrow A_{2s1s} \sim 8.22 \text{ sec}^{-1}$$

CMB ambient photons field

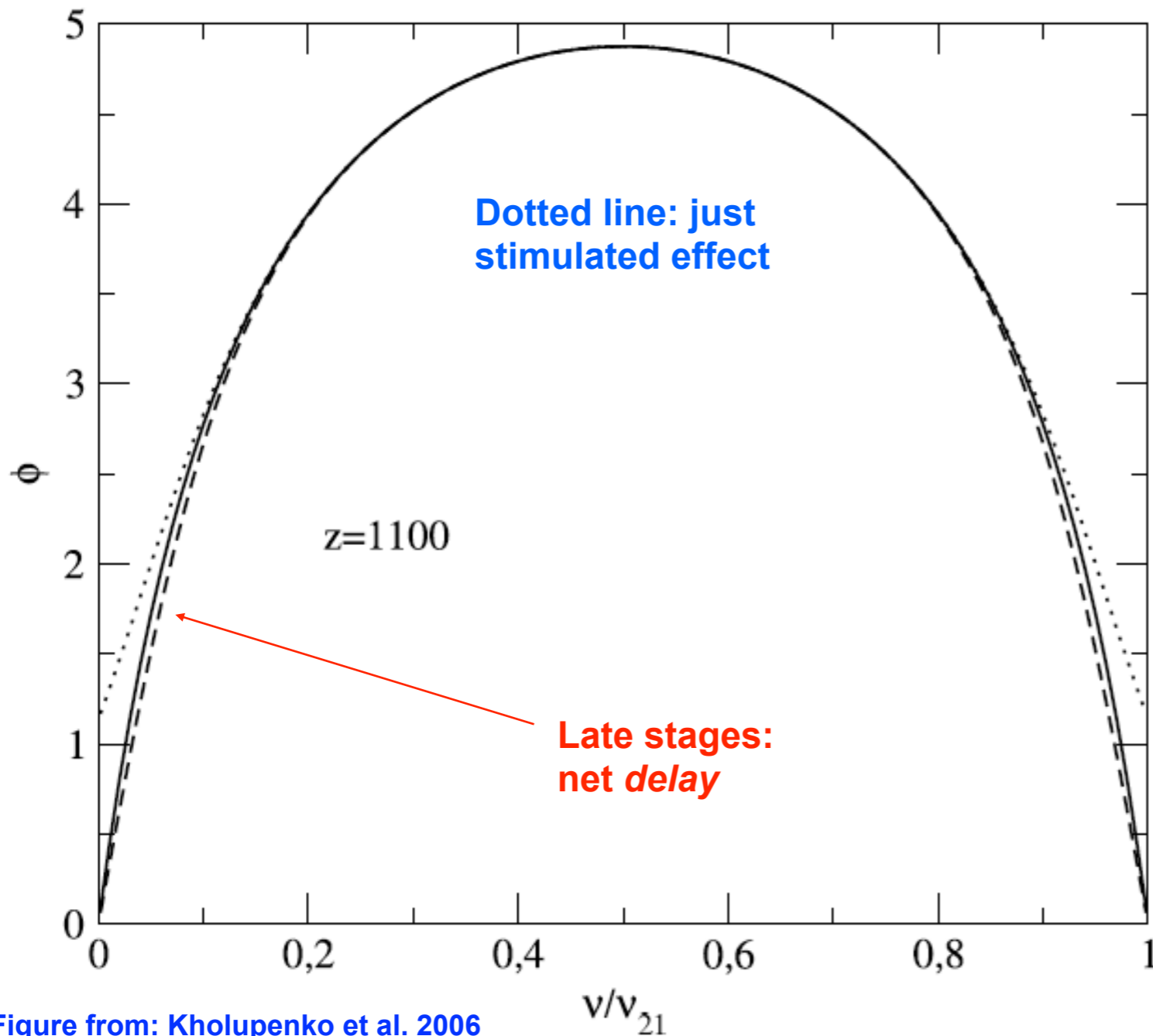
$$\rightarrow A_{2s1s} \text{ increased by } \sim 1\%-2\%$$

$$\rightarrow \text{HI - recombination faster by } \Delta N_e/N_e \sim 1.3\%$$



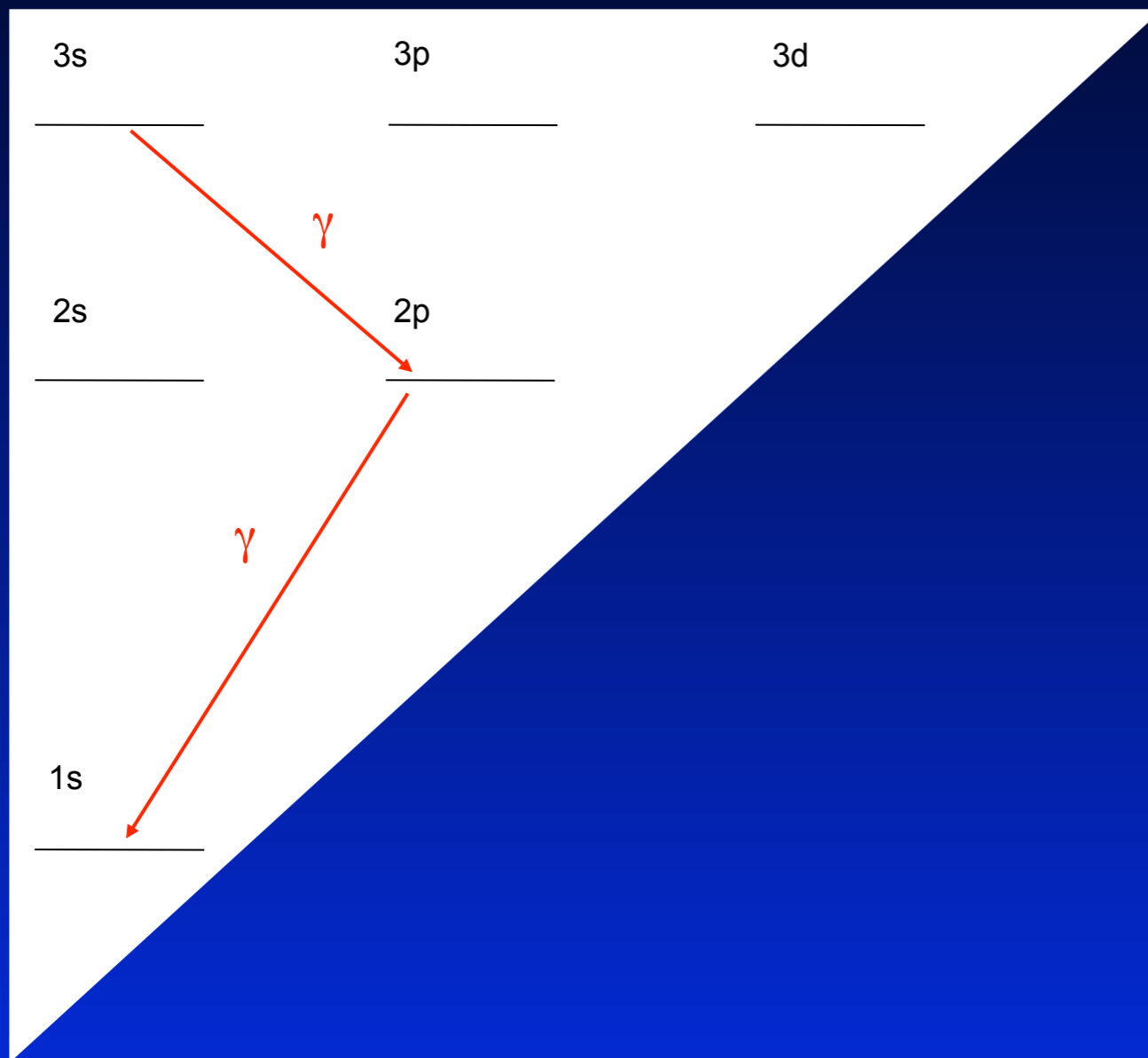
2s-1s emission profile

Feedback of Ly- α on the HI 1s \rightarrow 2s transition



- Some Ly- α photon are re-absorbed in the 1s-2s channel
- delays recombination
- net effect on 2s-1s channel $\Delta N_e/N_e \sim 0.6\%$ around $z \sim 1100$
- *2s-1s self-feedback*
 $\Delta N_e/N_e \sim -0.08\%$ around $z \sim 1100$ (JC & Thomas, 2010)

Two-photon emission process from upper levels



Seaton cascade (1+1 photon)

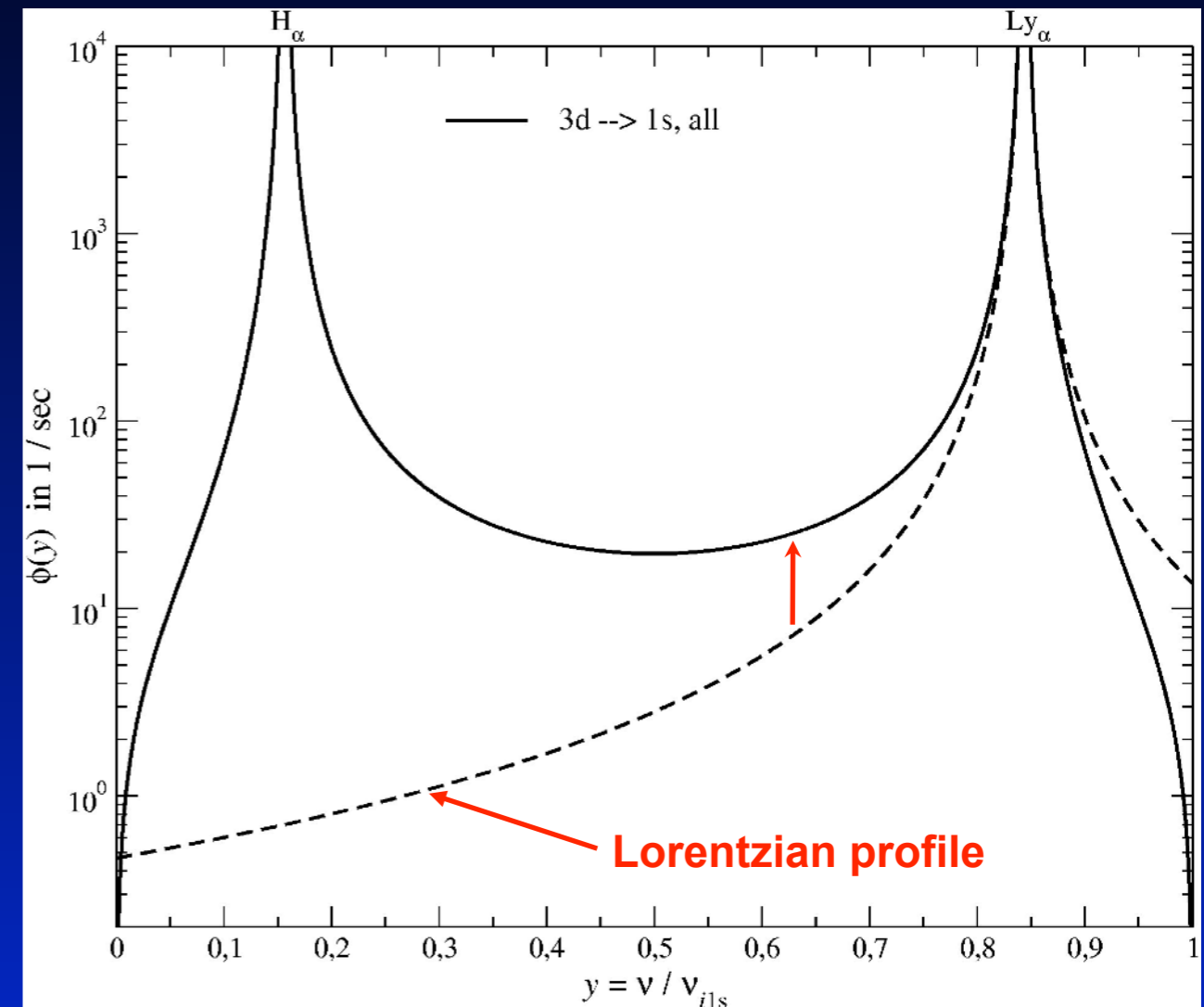
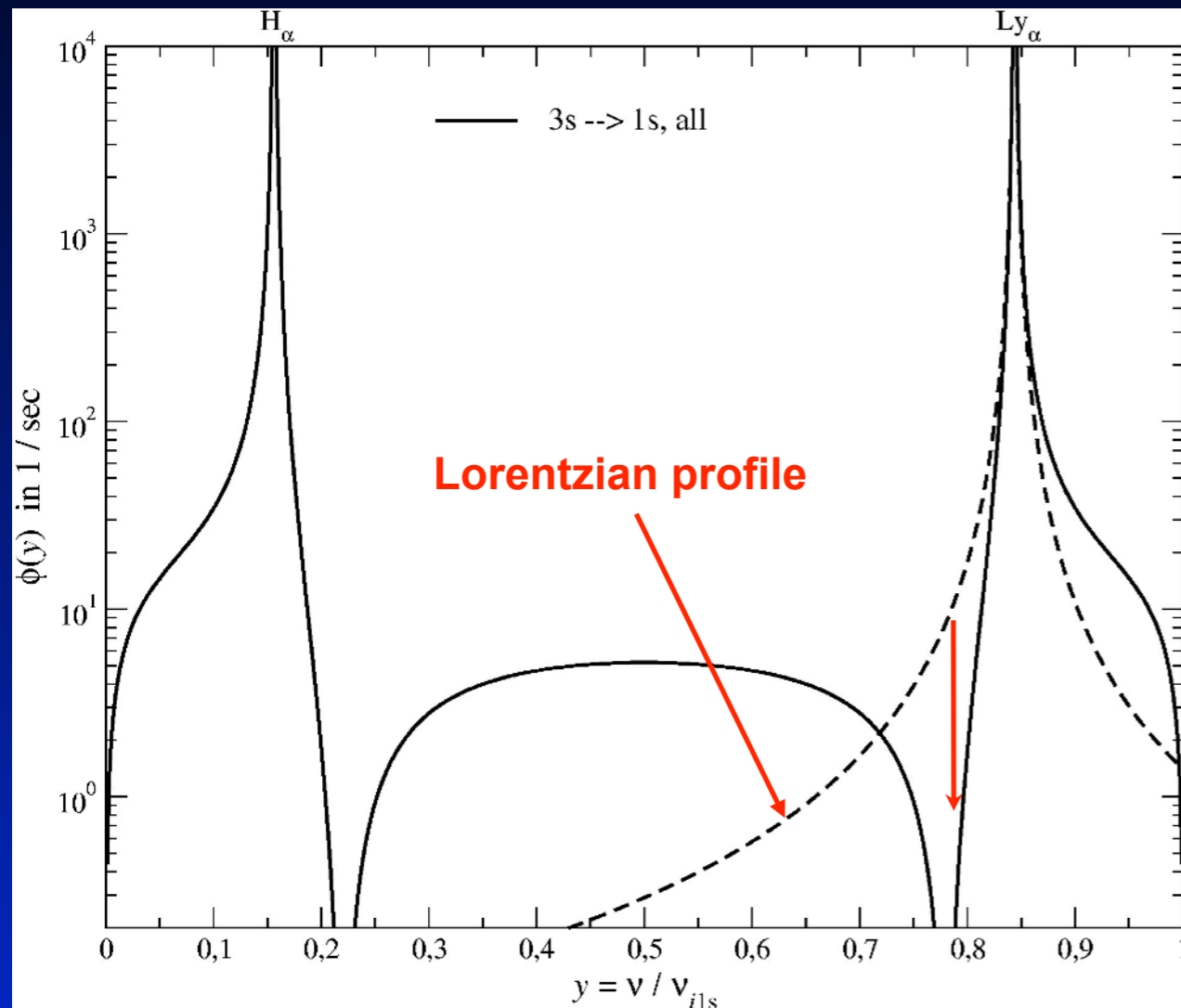
No collisions \rightarrow two photons (mainly H- α and Ly- α) are emitted!

Maria-Göppert-Mayer (1931): description of two-photon emission as single process in Quantum Mechanics

\rightarrow Deviations of the *two-photon line profile* from the Lorentzian in the damping wings

\rightarrow Changes in the optically thin (below ~ 500 - 5000 Doppler width) parts of the line spectra

3s and 3d two-photon decay spectrum

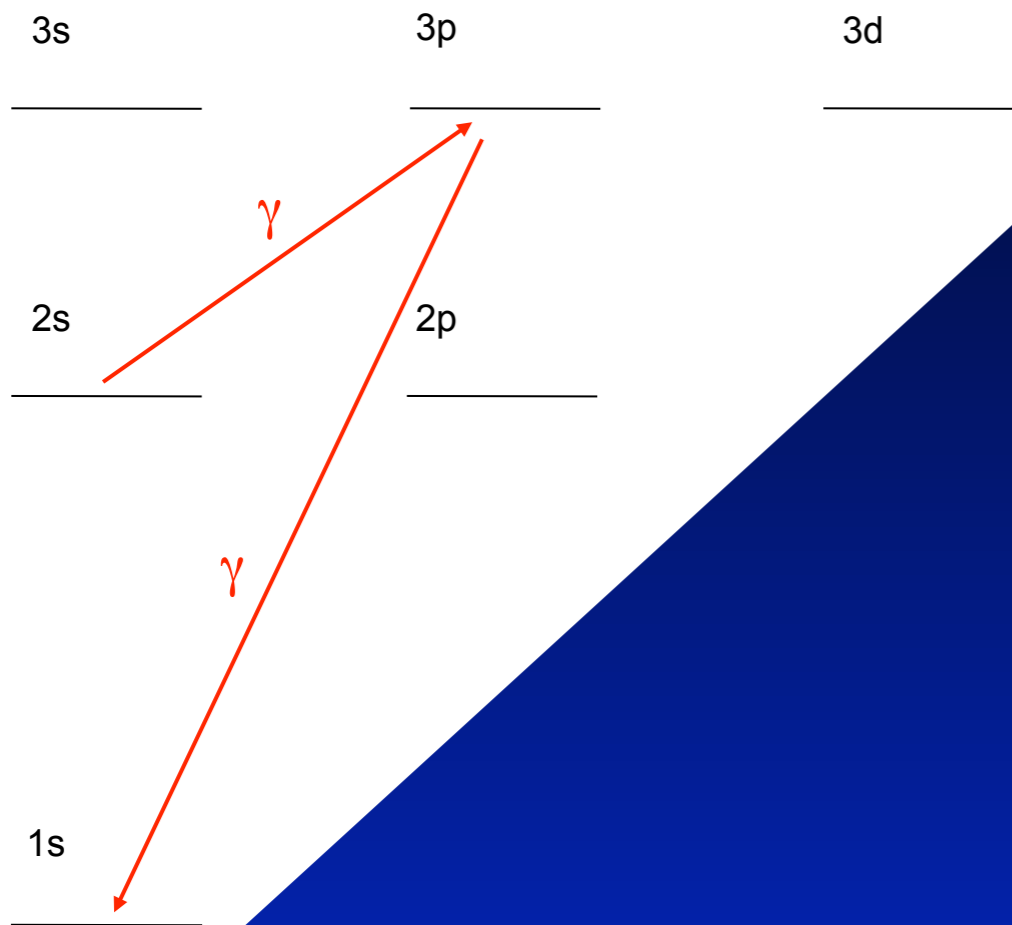


Direct Escape in optically thin regions:

\rightarrow HI -recombination is a bit *slower* due to 2γ -transitions from s-states

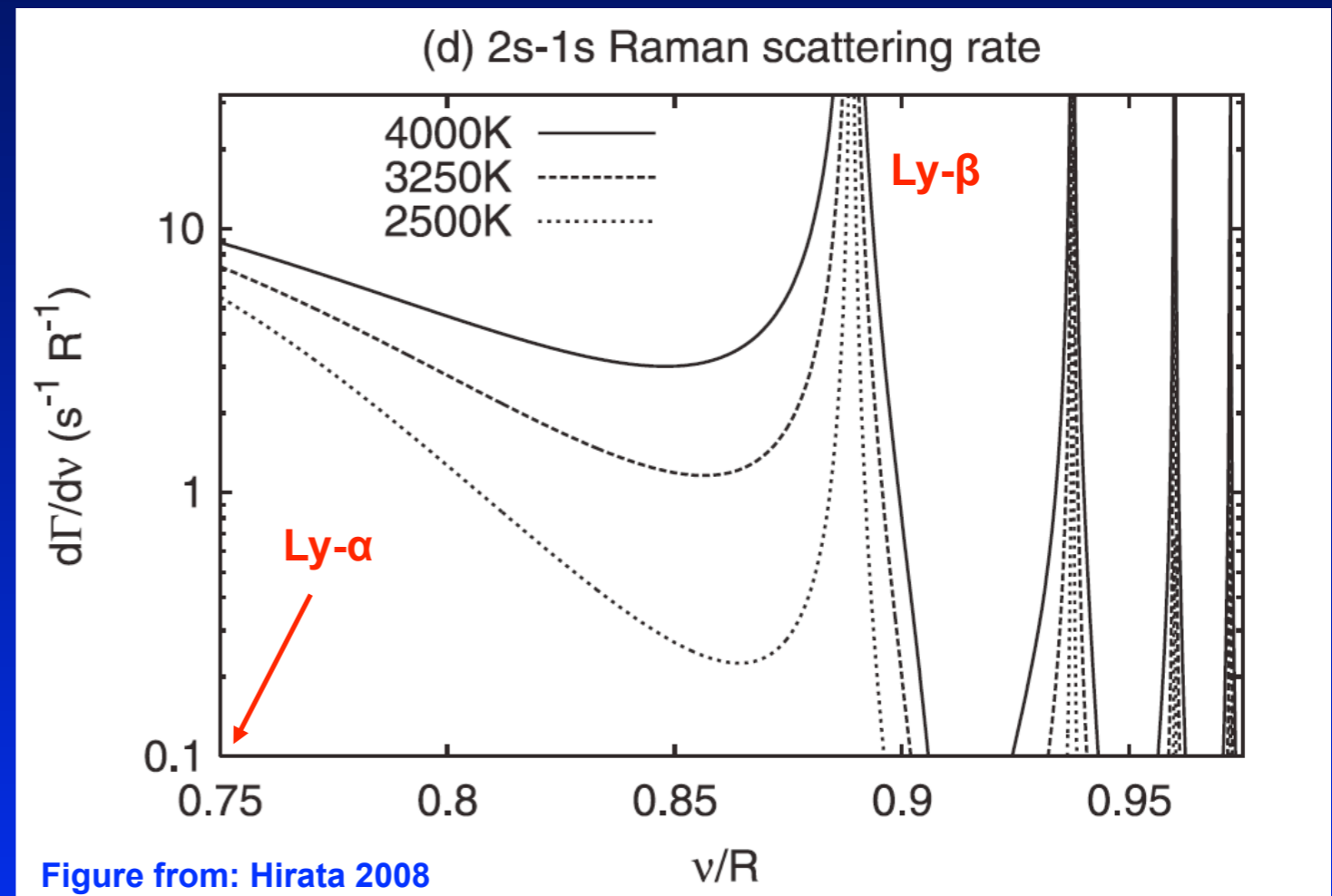
\rightarrow HI -recombination is a bit *faster* due to 2γ -transitions from d-states

2s-1s Raman scattering



- Enhances blues side of Ly- α line
- associated feedback delays recombination around $z \sim 900$

- Computation similar to two-photon decay profiles
- collisions weak \implies process needs to be modeled as single quantum act



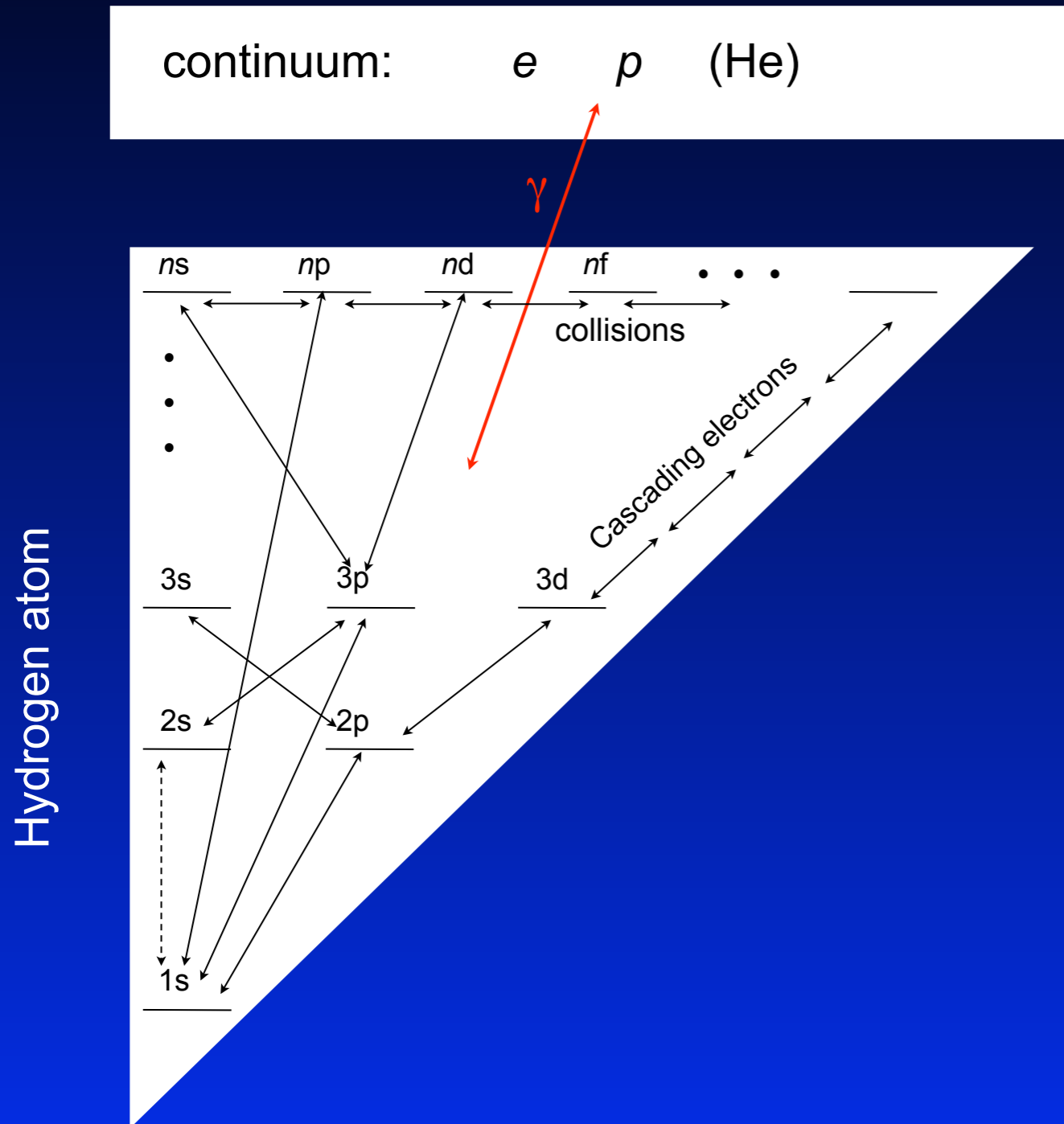
Deviations from Statistical Equilibrium in the upper levels

Basis for Recfast computation (Seager et al. 2000)

$$N_{nl} = \frac{2l + 1}{n^2} N_{\text{tot},n}$$

- l -dependence of populations neglected
- Levels in a given shell assumed to be in Statistical Equilibrium (SE)
- Complexity of problem scales like $\sim n_{\text{max}}$

Processes for the upper levels



- **recombination & photoionization**
 - n small \rightarrow l -dependence not drastic
 - high shells \rightarrow more likely to $l \ll n$
 - large $n \rightarrow$ *induced* recombination
 - **many radiative dipole transitions**
 - Lyman-series optically thick
 - $\Delta l = \pm 1$ restriction (electron cascade)
 - large n & small $\Delta n \rightarrow$ *induced* emission
 - **l -changing collisions**
 - help to establish full SE within the shell
 - only effective for $n > 25-30$
- **n -changing collisions**
 - **Collisional photoionization**
 - **Three-body-recombination**

Deviations from Statistical Equilibrium in the upper levels

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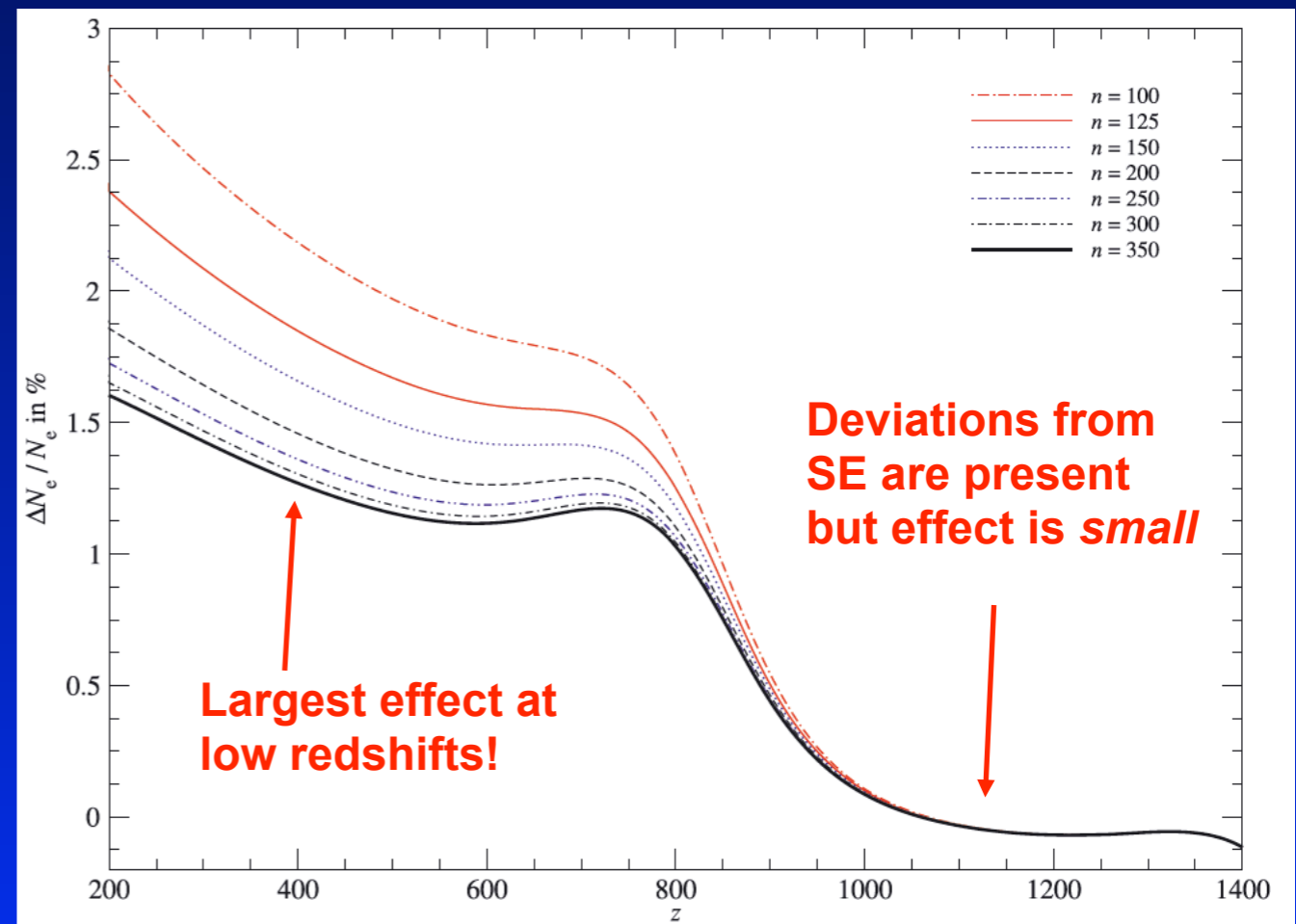
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Refined computation

(JC, Rubino-Martin & Sunyaev, 2007)

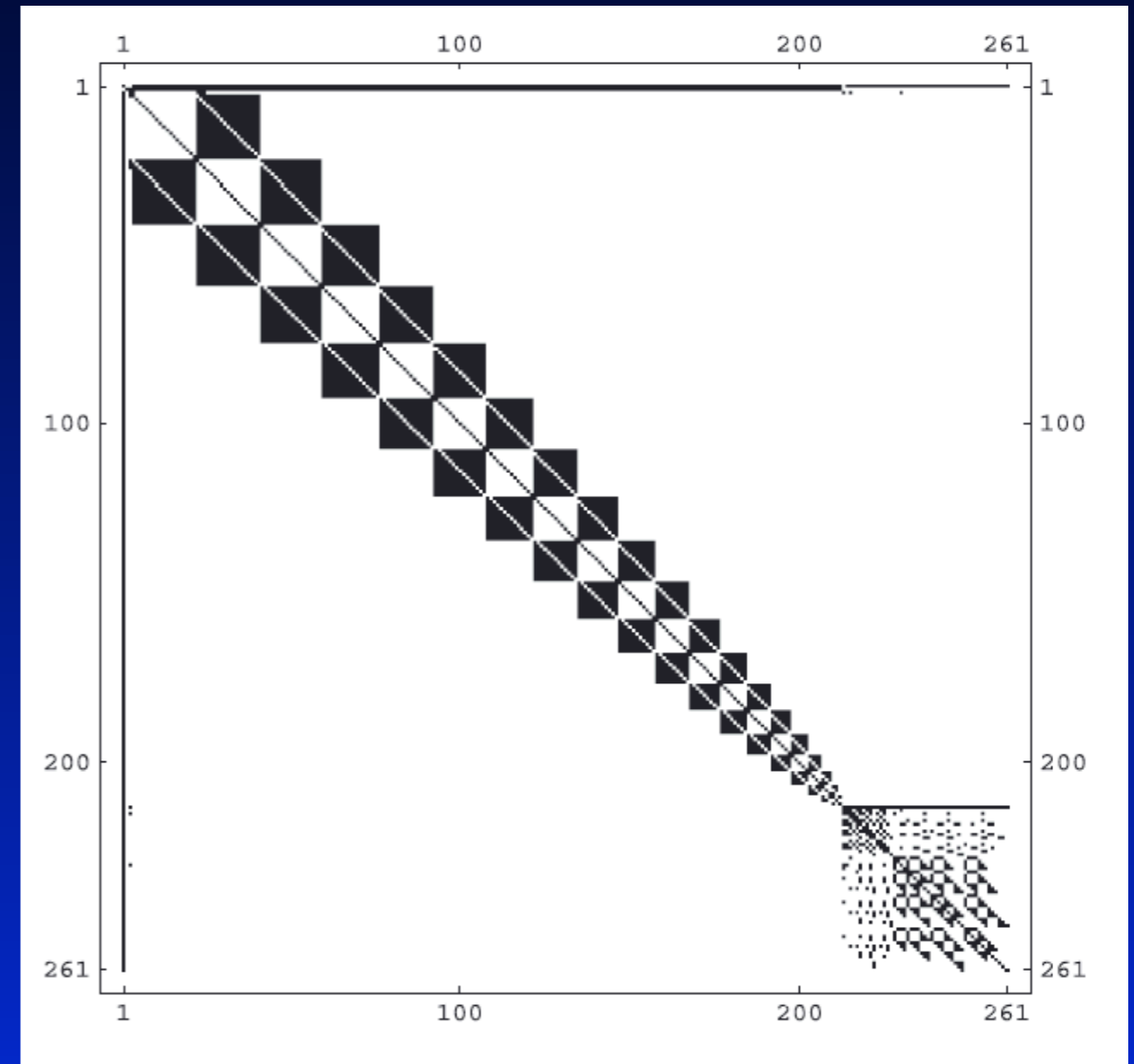
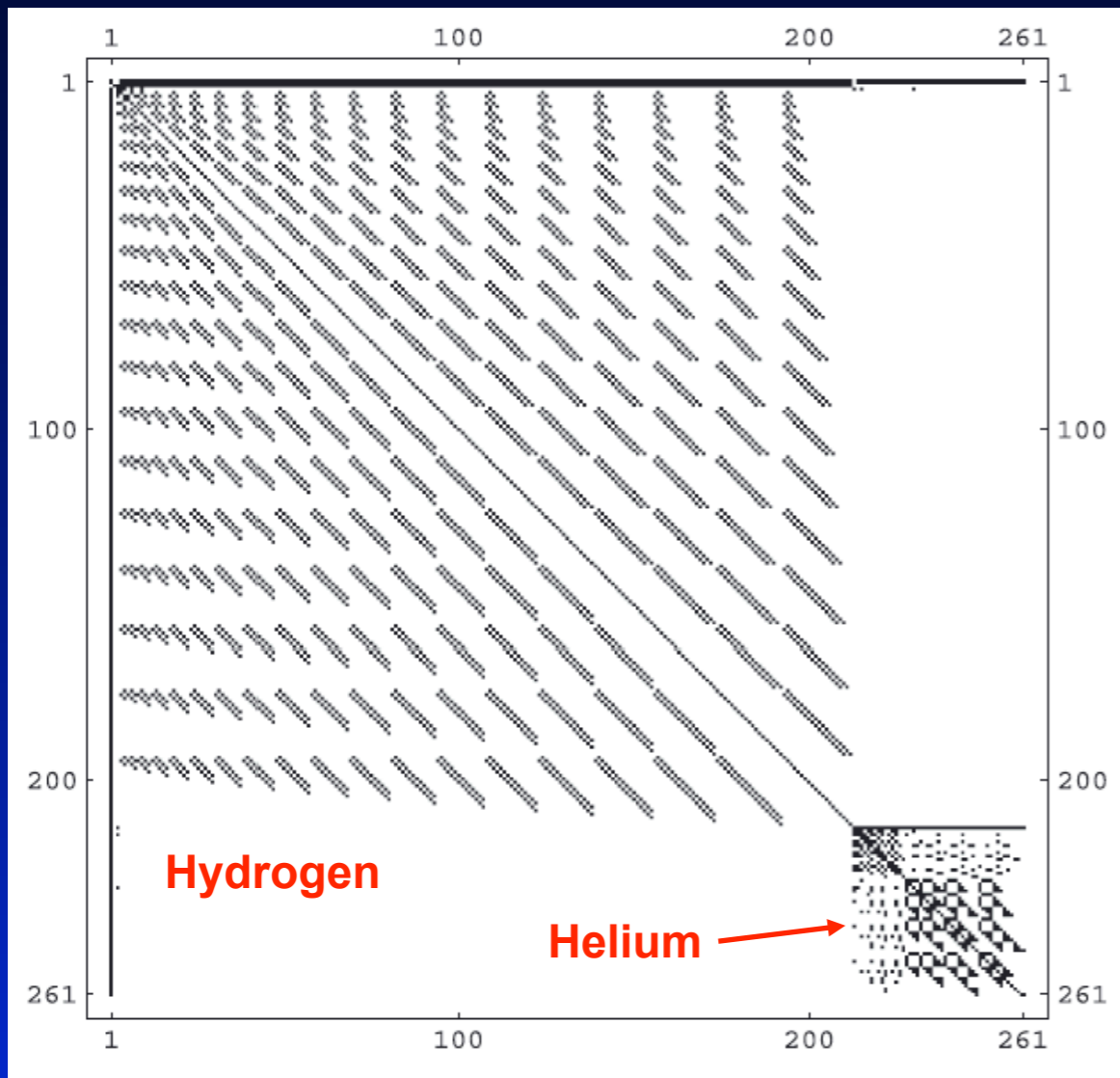
- need to treat angular momentum sub-levels separately!
- include collision to understand how close things are to SE
- Complexity of problem scales like $\sim n_{\text{max}}^2$
- But problem very *sparse*

(Grin & Hirata, 2010; JC, Vasil & Dursi, 2010)



Sparsity of the problem and effect of ordering

20 shell Hydrogen + 5 shell Helium model



Shell-by-Shell ordering

$1s, 2s, 2p, 3s, 3p, 3d, \dots$

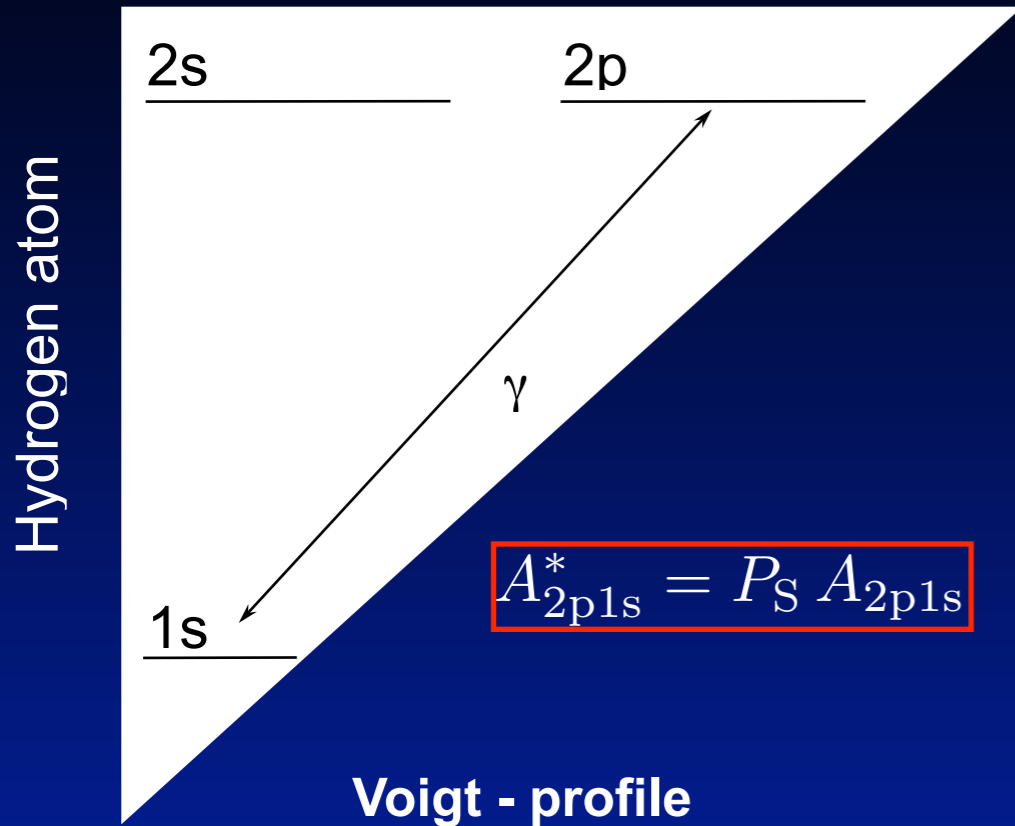
Angular momentum ordering

$1s, 2s, 3s, \dots, ns, 2s, 3p, \dots, np, 3d, 4d, \dots$

The Lyman- α radiative transfer problem

Sobolev approximation

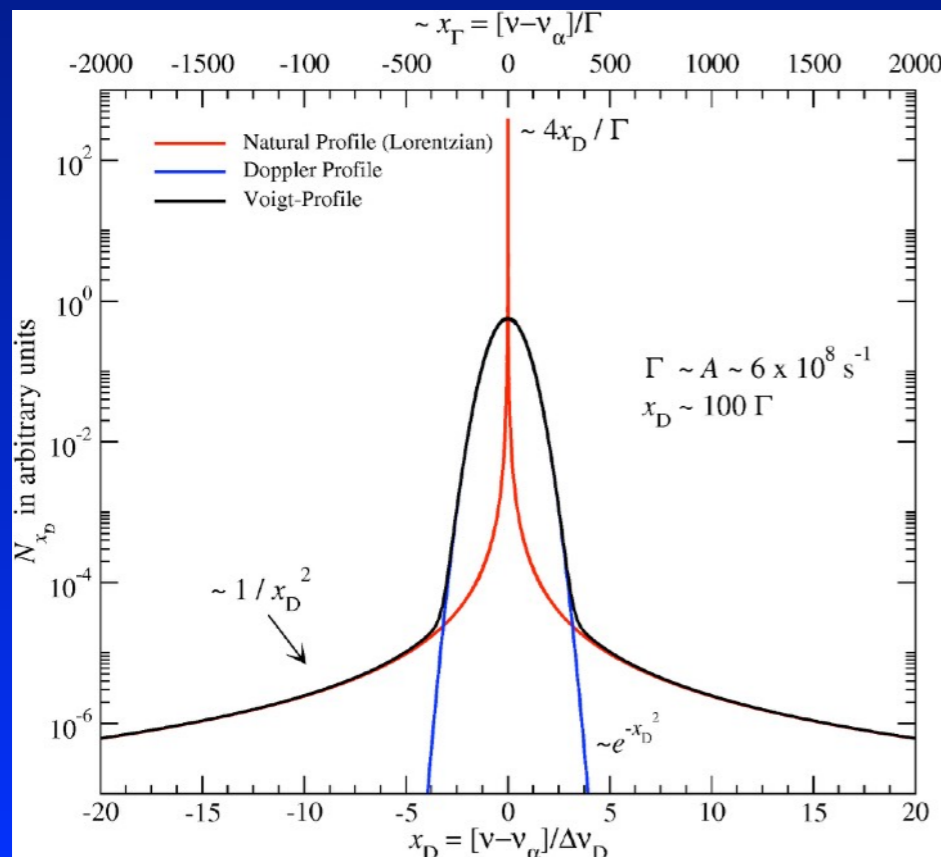
(developed in late 50's to model moving envelopes of stars)



- To solve the coupled system of rate-equations
 - need to know mean intensity across the Ly- α (& Ly- n) resonance at different times
 - approximate solution using *escape probability*
 - *Escape* == photons stop interacting with Ly- α resonance
 == photons stop supporting the 2p-level
 == photons reach the very distant red wing
- Main assumptions of Sobolev approximation
 - populations of level + radiation field *quasi-stationary*
 - every 'scattering' leads to *complete redistribution*
 - emission & absorption profiles have the *same shape*

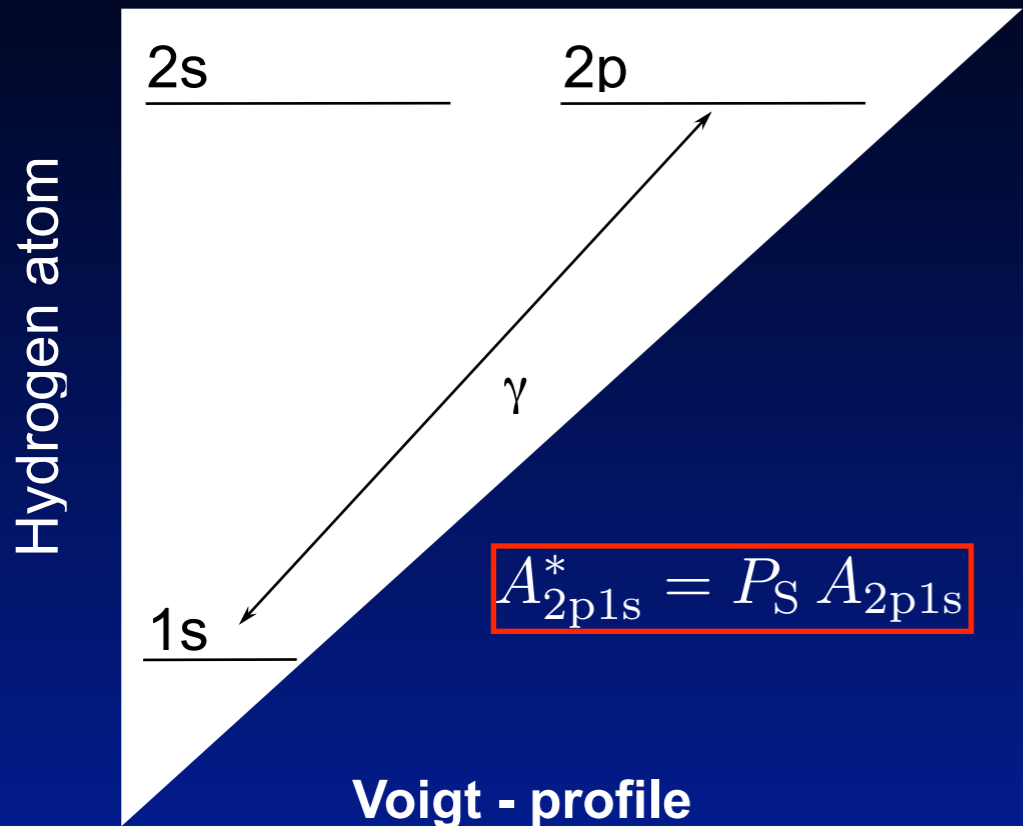
Doppler width

$$\frac{\Delta\nu_D}{\nu} = \sqrt{\frac{2kT}{m_H c^2}} \simeq \text{few} \times 10^{-5}$$

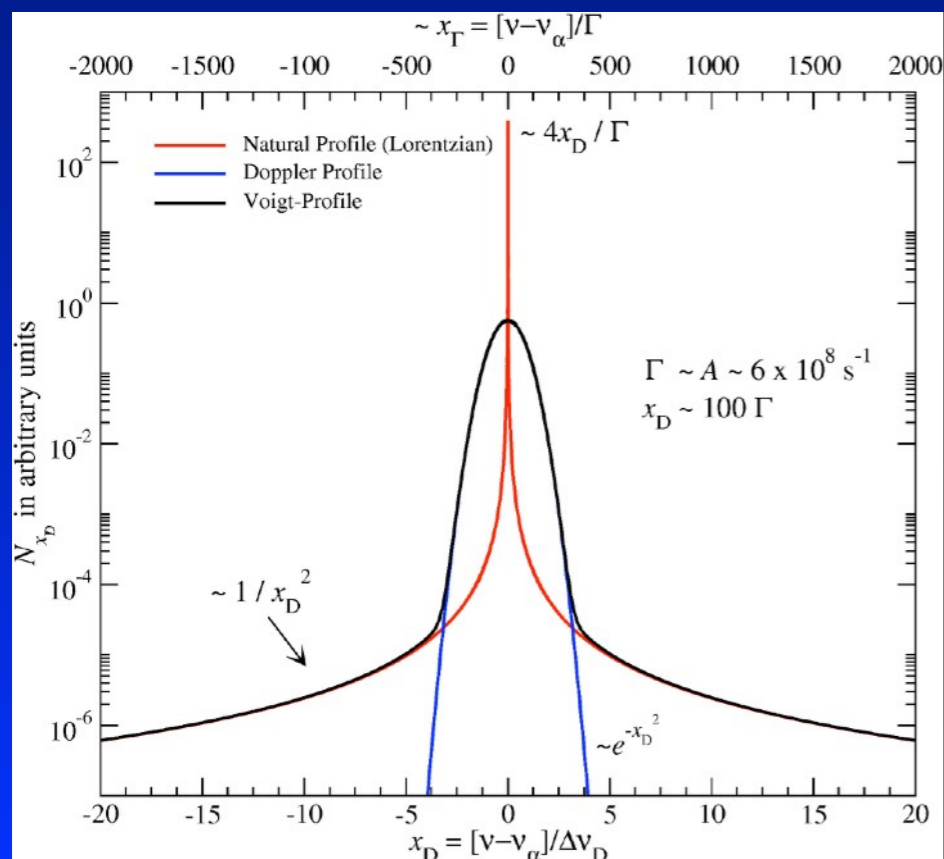


Sobolev approximation

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- Main assumptions of Sobolev approximation
 - populations of level + radiation field *quasi-stationary*
 - every 'scattering' leads to *complete redistribution*
 - emission & absorption profiles have the *same shape*
- Sobolev escape probability & optical depth

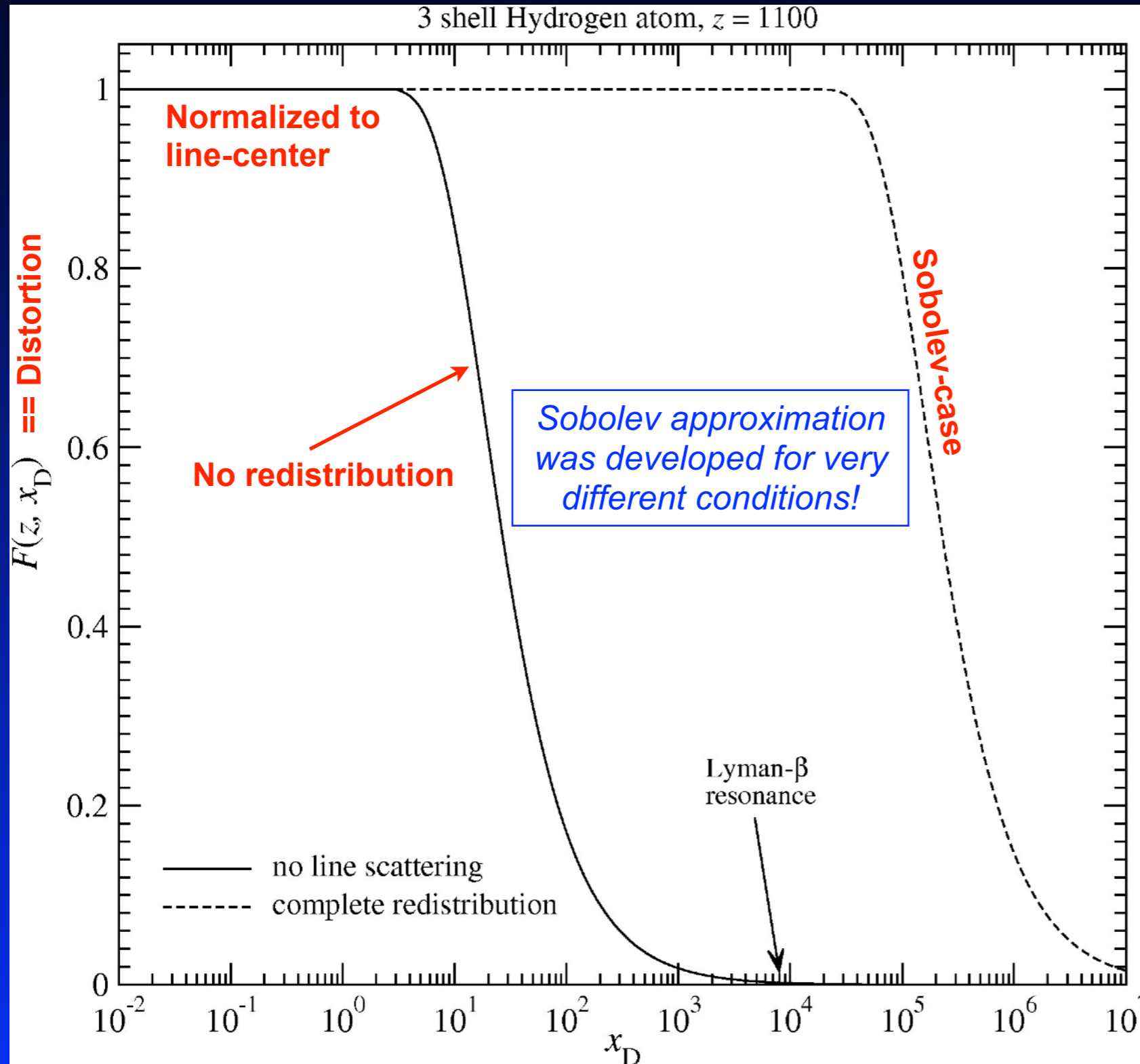


$$P_S = \frac{1 - e^{-\tau_S}}{\tau_S} \simeq 10^{-8}$$

$$\tau_S = \frac{c \sigma_r N_{1s}}{H} \frac{\Delta \nu_D}{\nu} = \frac{g_{2p}}{g_{1s}} \frac{A_{21} \lambda_{21}^3}{8\pi H} N_{1s}$$

Problems with Sobolev approximation:

Complete redistribution \Leftrightarrow *partial redistribution*



Sobolev-approximation:

- Important variation of the photon distribution at ~ 1.5 times the ionization energy!
- For 1% accuracy one has to integrate up to $\sim 10^7$ Doppler width!
- *Complete redistribution bad approximation and very unlikely ($p \sim 10^{-4} - 10^{-3}$)*

No redistribution case:

- Much closer to the correct solution (*partial redistribution*)
- Avoids some of the unphysical aspect

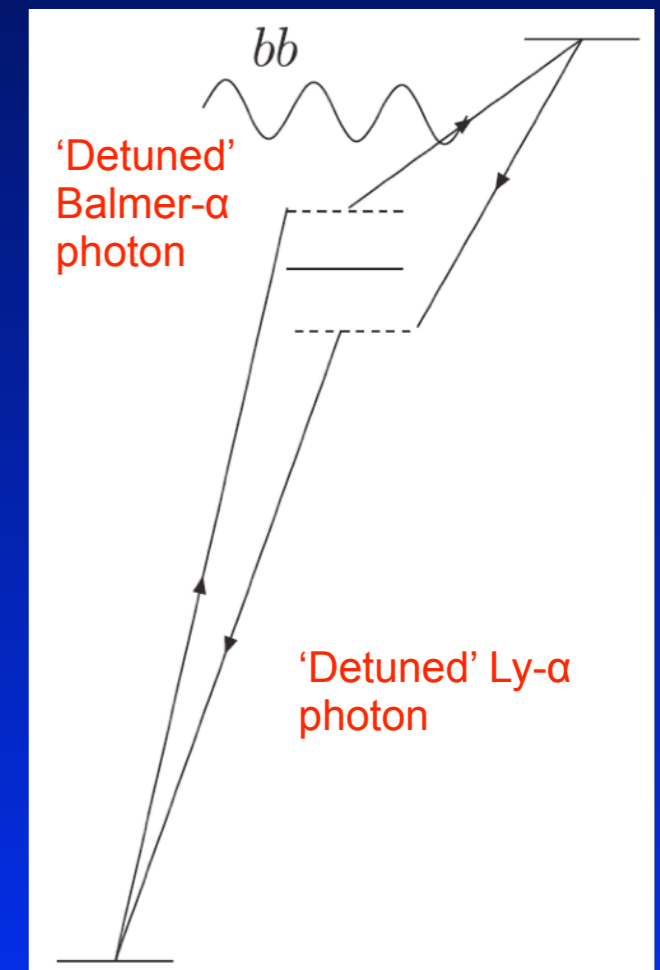
Other Problems with Sobolev approximation

Time-dependence of the emission process

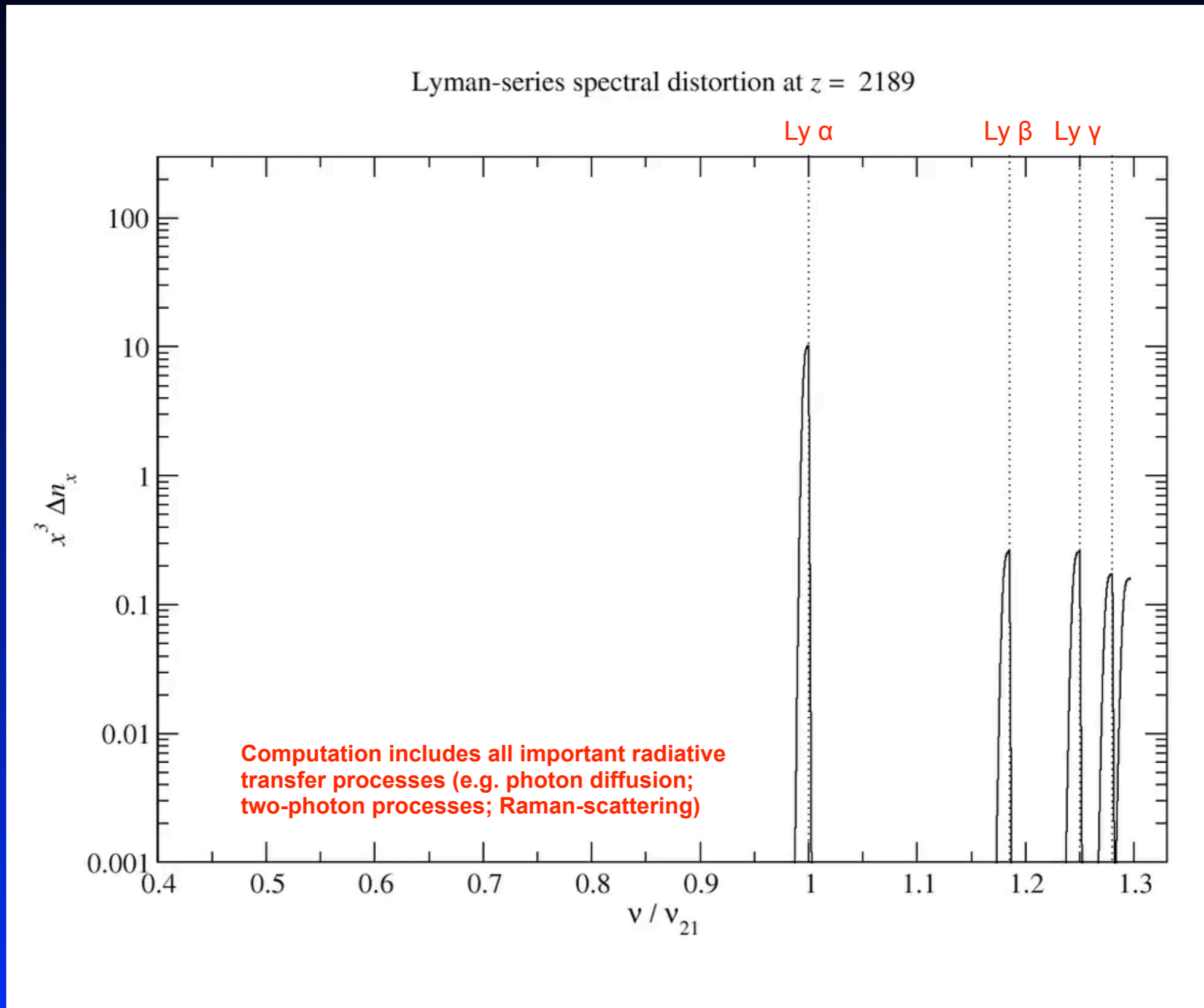
- Quasi-stationarity ok close to line center
- Non-stationarity important in the distant wings
- Wings even at $\sim 10^4$ Doppler width ($\Delta\nu/\nu \sim 10\%$) required for $<0.1\%$ precision

Asymmetry of emission / absorption profiles

- *Standard textbook* equations always assume $\nu \sim \nu_0$
- Basically *wrong* in distant damping wings
- Detailed balance off \rightarrow blackbody not conserved!
- Formulation that includes profile asymmetries required



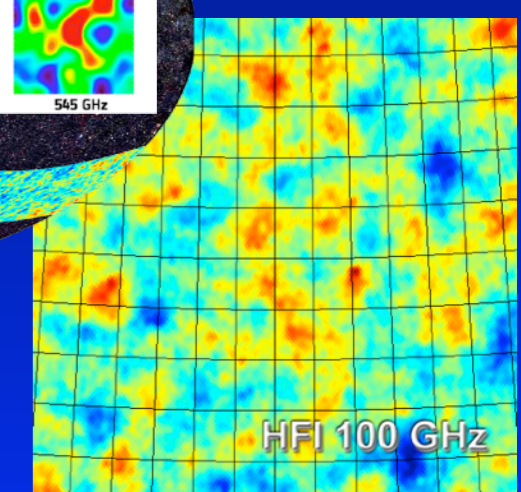
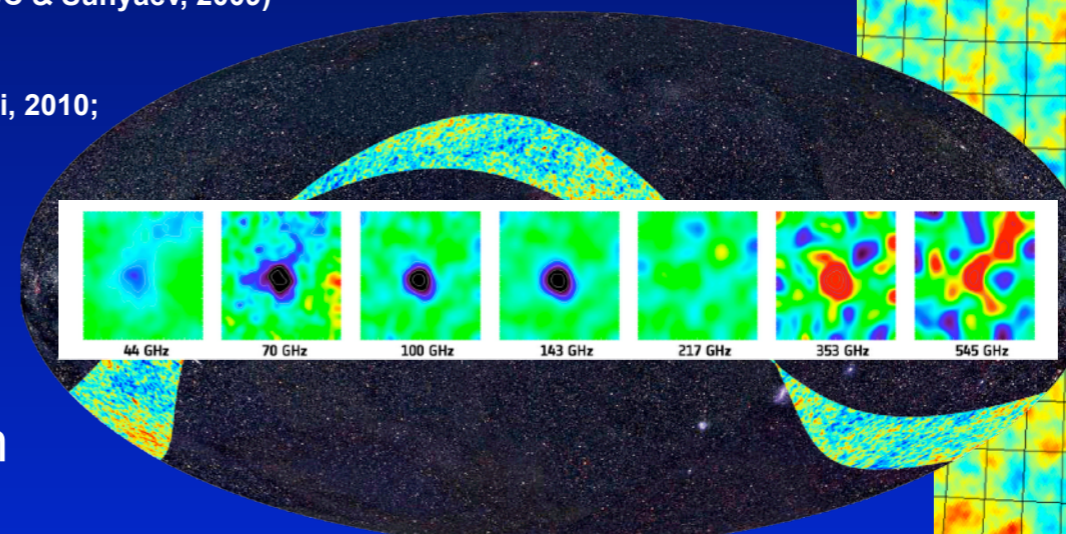
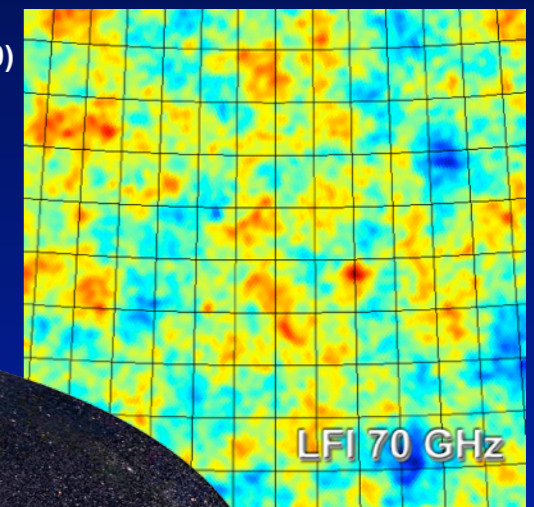
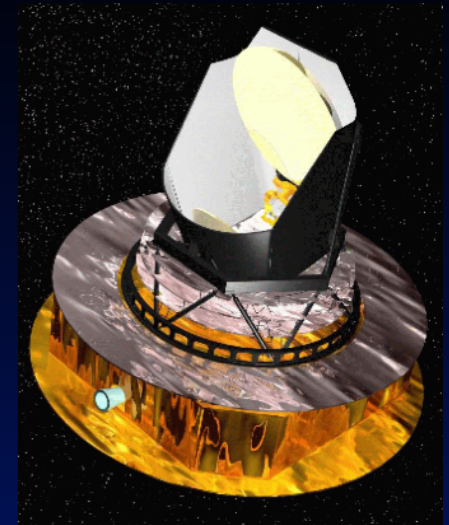
Evolution of the HI Lyman-series distortion



Getting the job done for *Planck*

Hydrogen recombination

- Two-photon decays from higher levels
(Dubrovich & Grachev, 2005, *Astr. Lett.*, 31, 359; Wong & Scott, 2007; JC & Sunyaev, 2007; Hirata, 2008; JC & Sunyaev 2009)
- Induced 2s two-photon decay for hydrogen
(JC & Sunyaev, 2006, *A&A*, 446, 39; Hirata 2008)
- Feedback of the Lyman- α distortion on the 1s-2s two-photon absorption rate
(Kholupenko & Ivanchik, 2006, *Astr. Lett.*; Fendt et al. 2008; Hirata 2008)
- Non-equilibrium effects in the angular momentum sub-states
(Rubiño-Martín, JC & Sunyaev, 2006, *MNRAS*; JC, Rubiño-Martín & Sunyaev, 2007, *MNRAS*; Grin & Hirata, 2009; JC, Vasil & Dursi, 2010)
- Feedback of Lyman-series photons ($\text{Ly}[n] \rightarrow \text{Ly}[n-1]$)
(JC & Sunyaev, 2007, *A&A*; Kholupenko et al. 2010; Haimoud, Grin & Hirata, 2010)
- Lyman- α escape problem (*atomic recoil, time-dependence, partial redistribution*)
(Dubrovich & Grachev, 2008; JC & Sunyaev, 2008; Forbes & Hirata, 2009; JC & Sunyaev, 2009)
- Collisions and Quadrupole lines
(JC, Rubiño-Martín & Sunyaev, 2007; Grin & Hirata, 2009; JC, Vasil & Dursi, 2010; JC, Fung & Switzer, 2011)
- Raman scattering
(Hirata 2008; JC & Thomas, 2010; Haimoud & Hirata, 2010)



Helium recombination

- Similar list of processes as for hydrogen
(Switzer & Hirata, 2007a&b; Hirata & Switzer, 2007)
- Spin forbidden 2p-1s triplet-singlet transitions
(Dubrovich & Grachev, 2005, *Astr. Lett.*; Wong & Scott, 2007; Switzer & Hirata, 2007; Kholupenko, Ivanchik&Varshalovich, 2007)
- Hydrogen continuum opacity during He I recombination
(Switzer & Hirata, 2007; Kholupenko, Ivanchik & Varshalovich, 2007; Rubiño-Martín, JC & Sunyaev, 2007; JC, Fung & Switzer, 2011)
- Detailed feedback of helium photons
(Switzer & Hirata, 2007a; JC & Sunyaev, 2009, *MNRAS*; JC, Fung & Switzer, 2011)

$$\Delta N_e / N_e \sim 0.1 \%$$

Main corrections during HeI Recombination

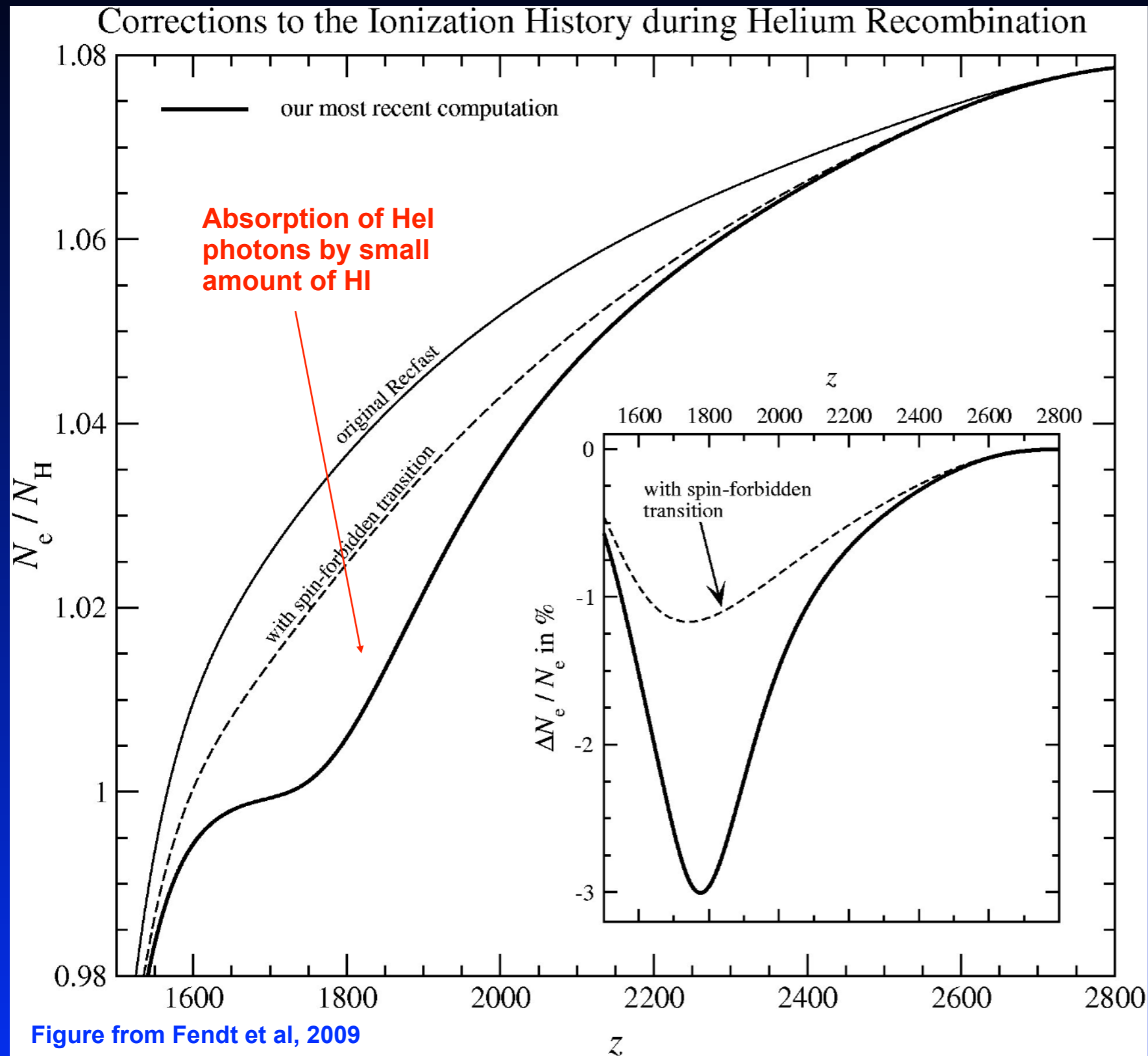


Figure from Fendt et al, 2009

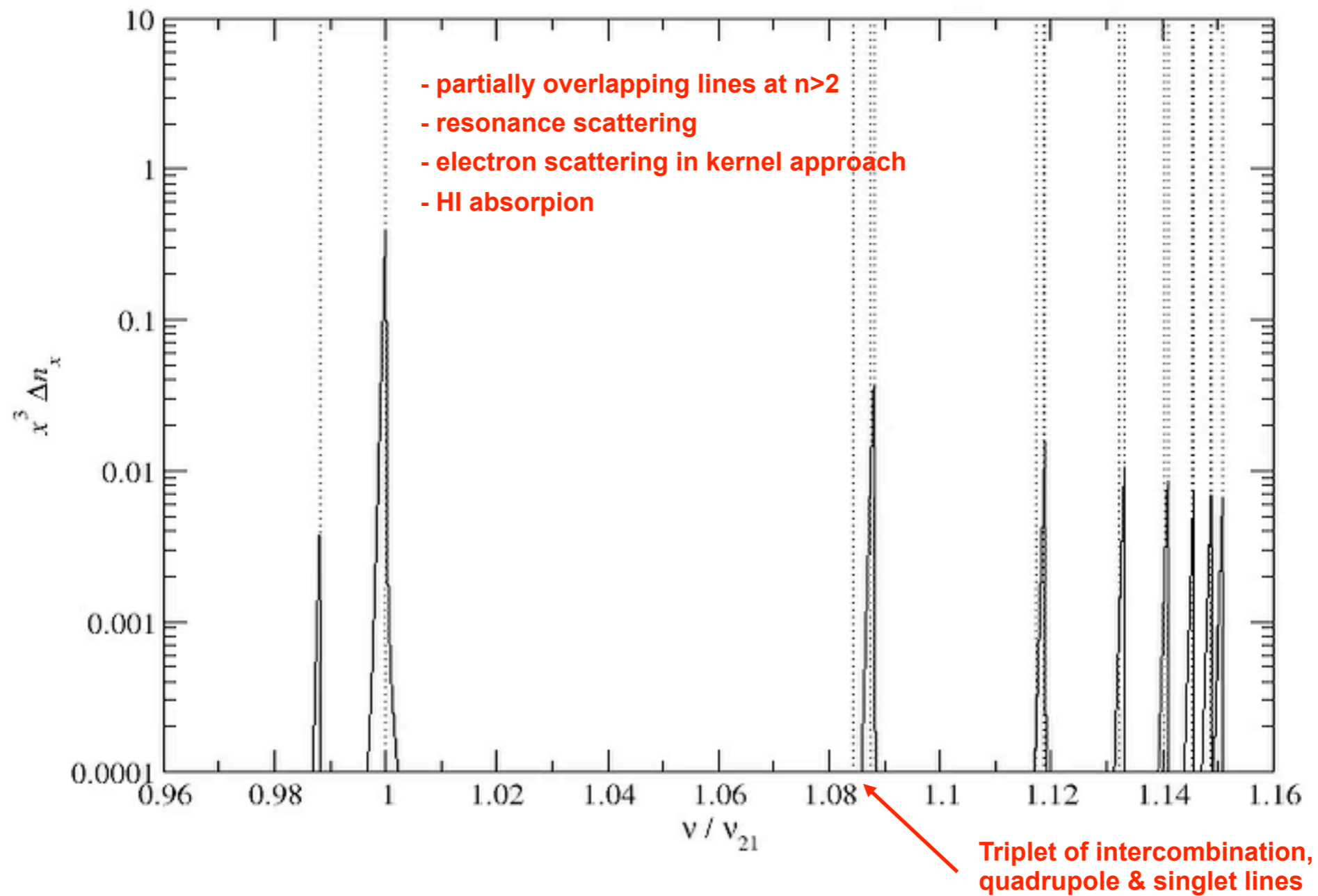
Kholupenko et al, 2007
Switzer & Hirata, 2007

- Delayed neutral helium recombination was indeed one of the *Recfast* results
- Effect of HI absorption already mentioned in Hu et al. 1995 (priv. comm Peebles)
- Spin-forbidden HeI transition estimated in 1977 (Lin et al.)
- But neutral helium recombination not as crucial for C I's...

Evolution of the HeI high frequency distortion

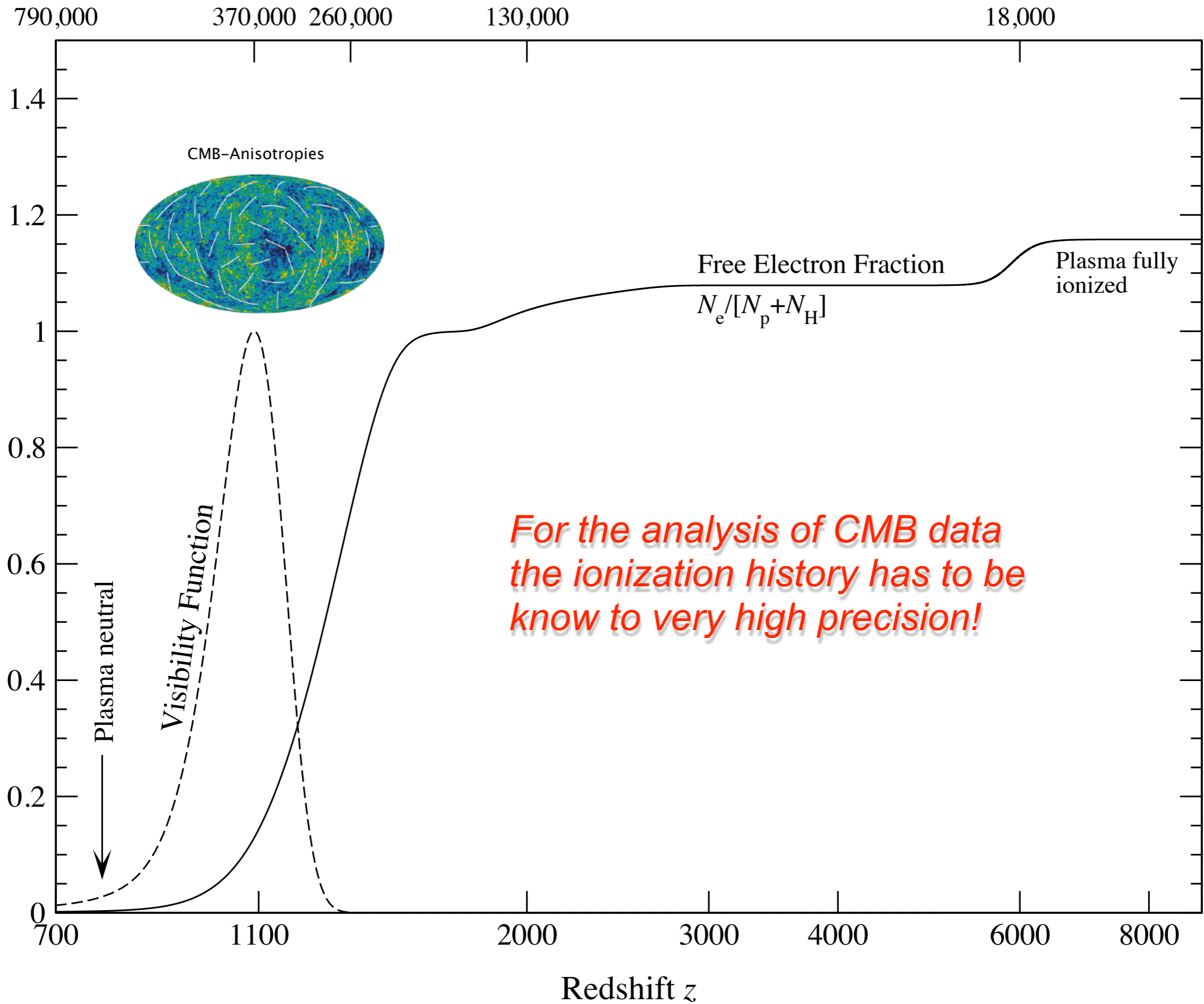
CosmoRec v2.0 only!

HeI Lyman-series spectral distortion at $z = 2996$

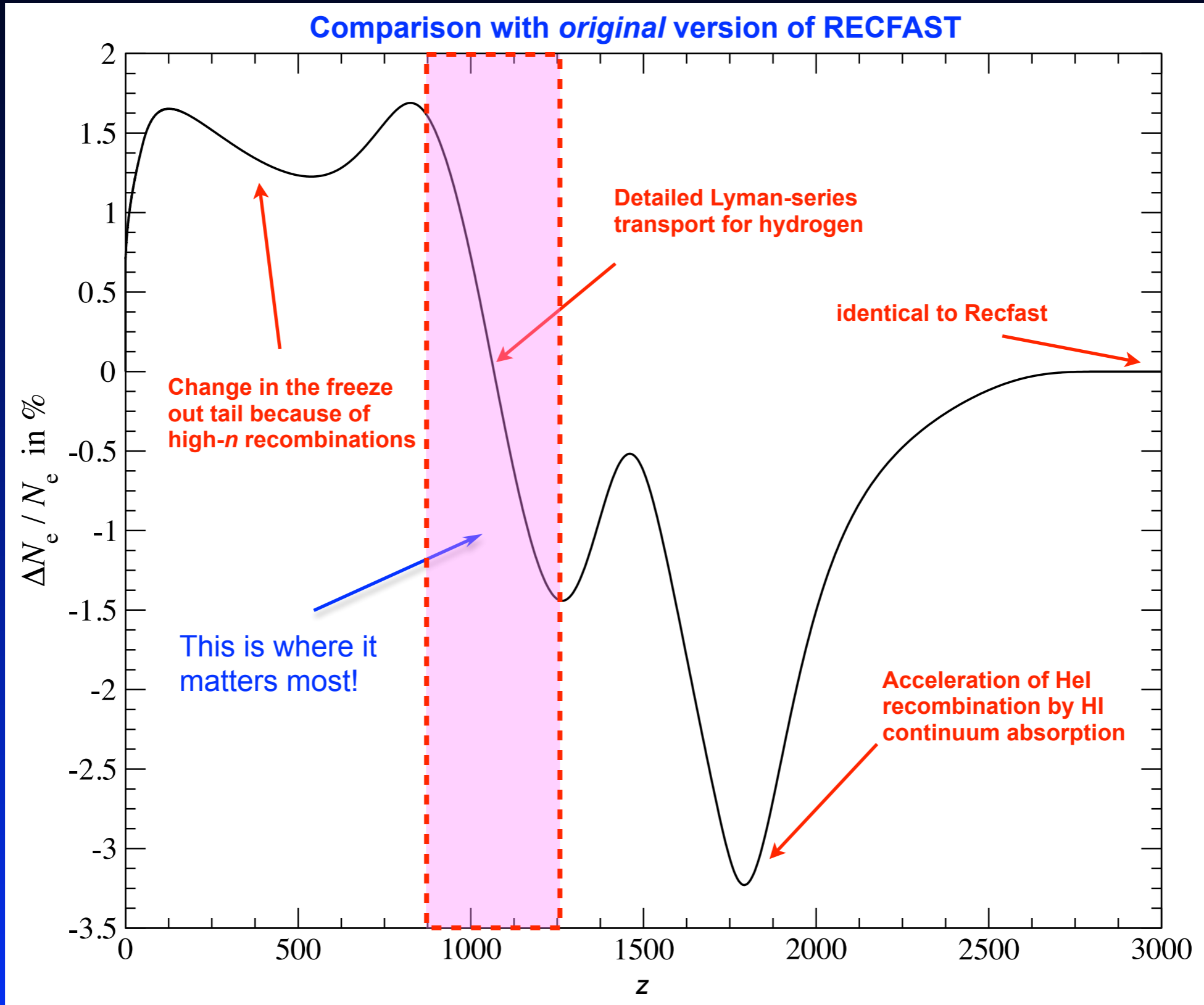


So why is all this so important?

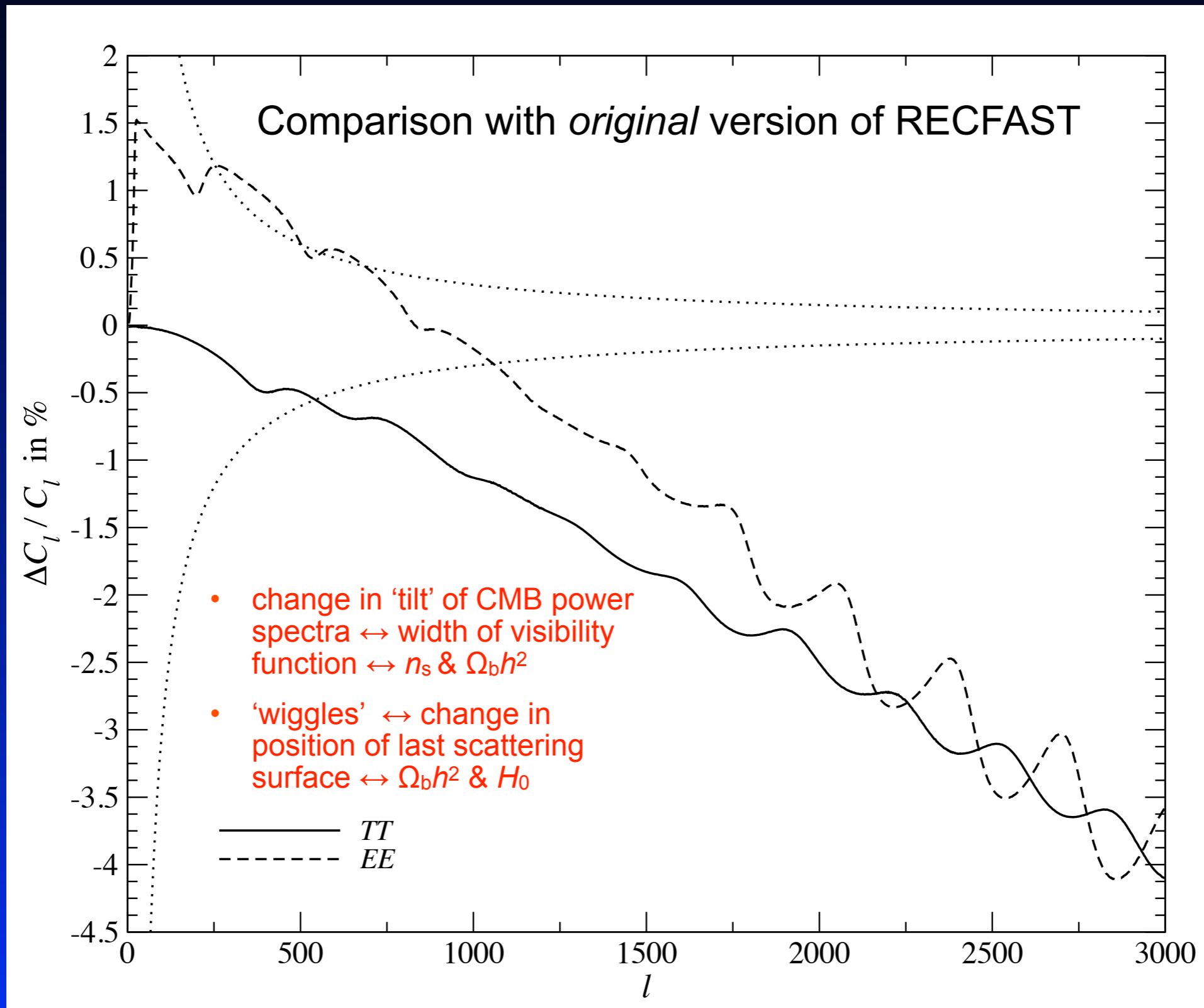
Cosmological Time in Years



Cumulative Changes to the Ionization History



Cumulative Change in the CMB Power Spectra

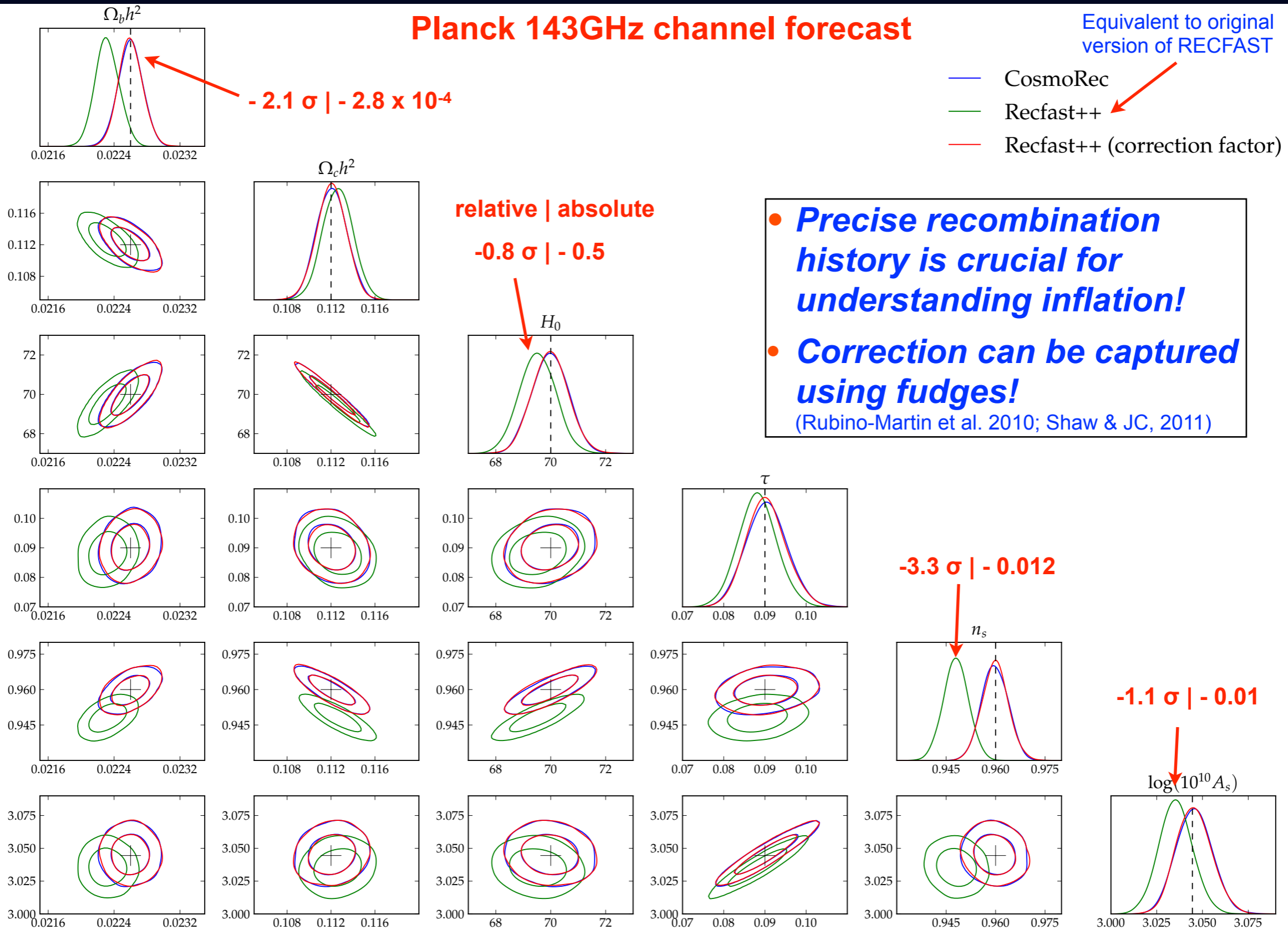


Importance of recombination for *Planck*

Planck 143GHz channel forecast

Equivalent to original version of RECFAST

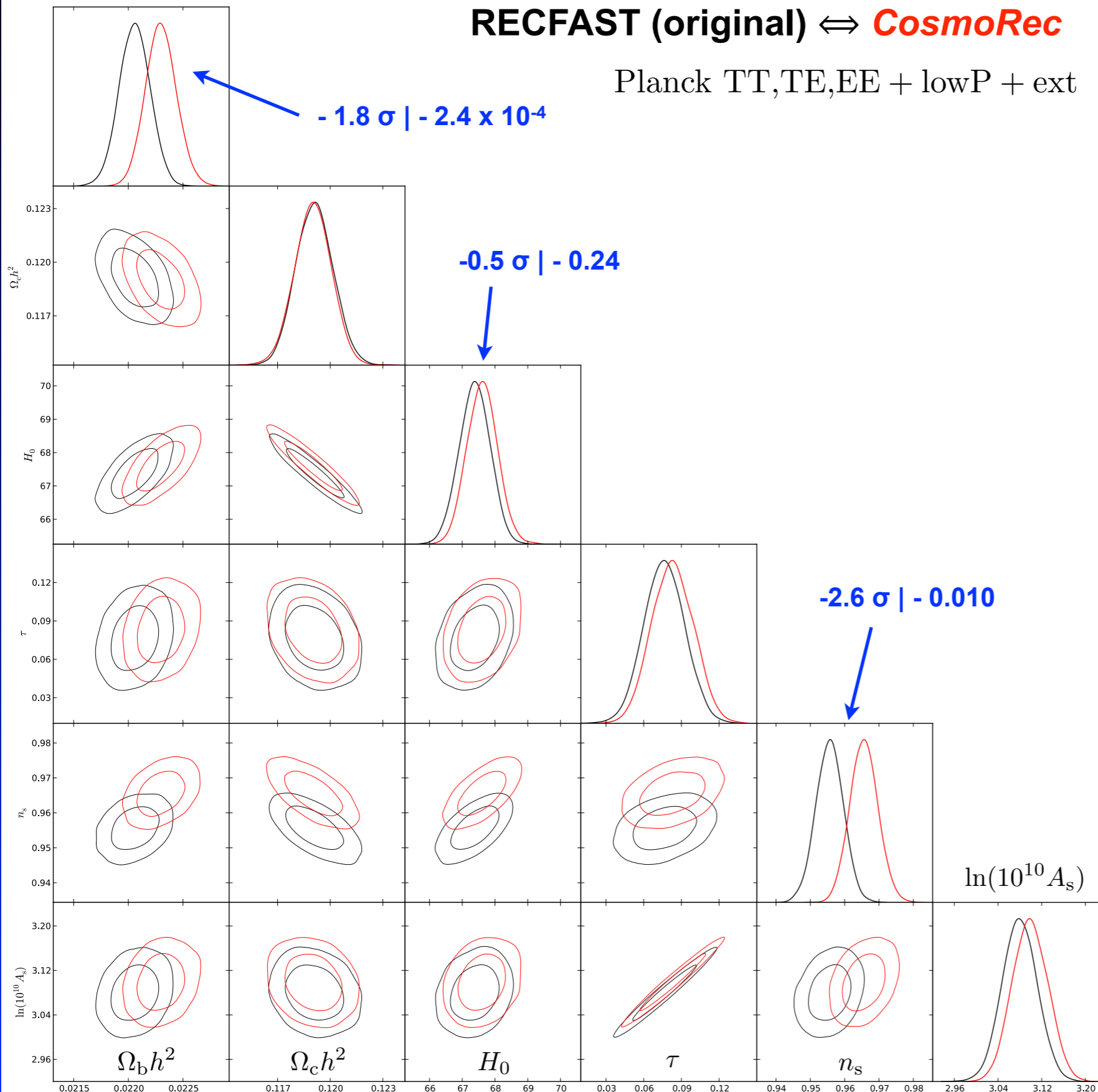
- CosmoRec
- Recfast++
- Recfast++ (correction factor)



Biases as they *would* have been for *Planck*

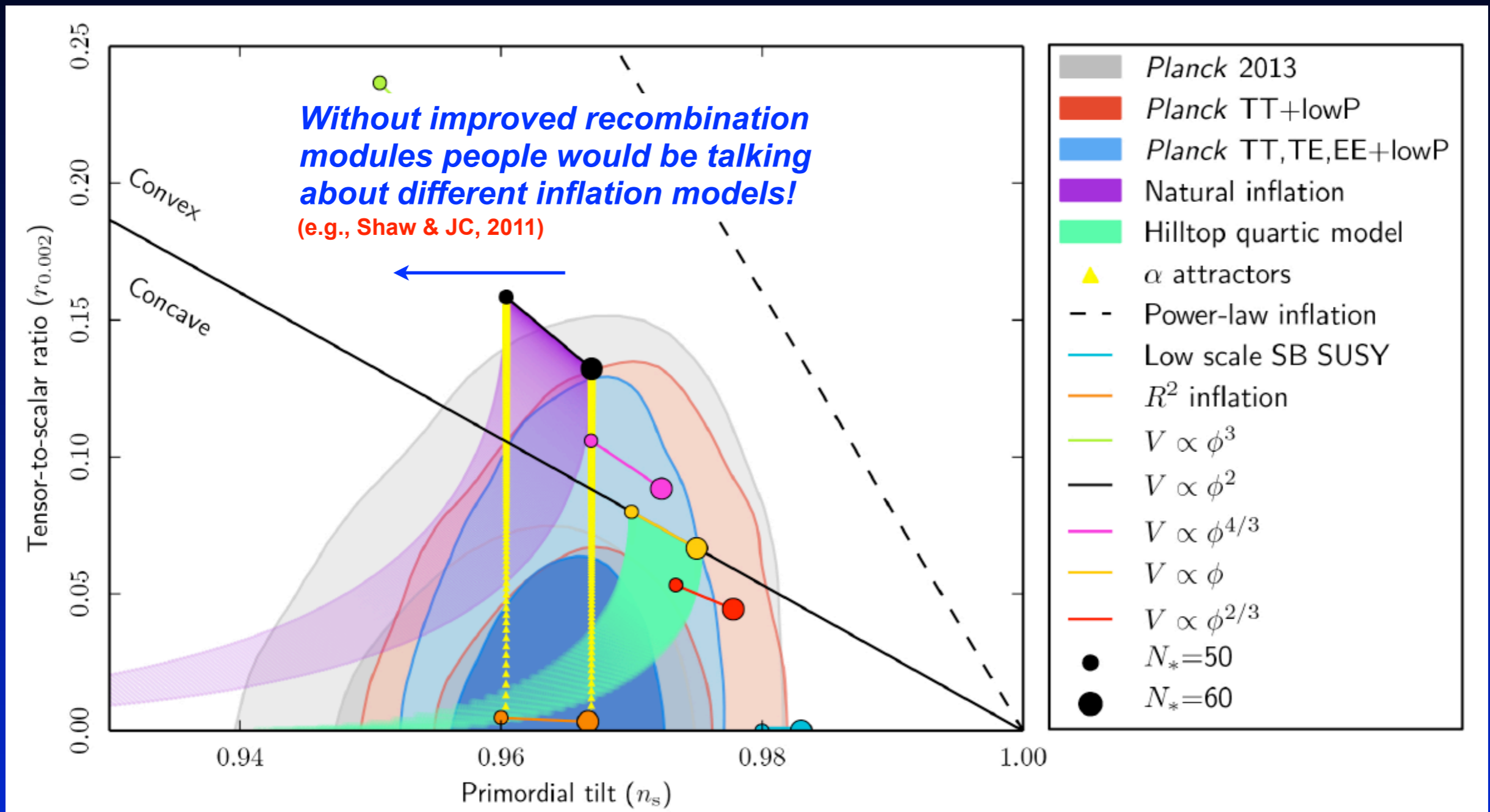
RECFAST (original) \Leftrightarrow **CosmoRec**

Planck TT,TE,EE + lowP + ext



- Biases a little less significant with real *Planck* data
- absolute biases very similar
- In particular n_s would be biased significantly

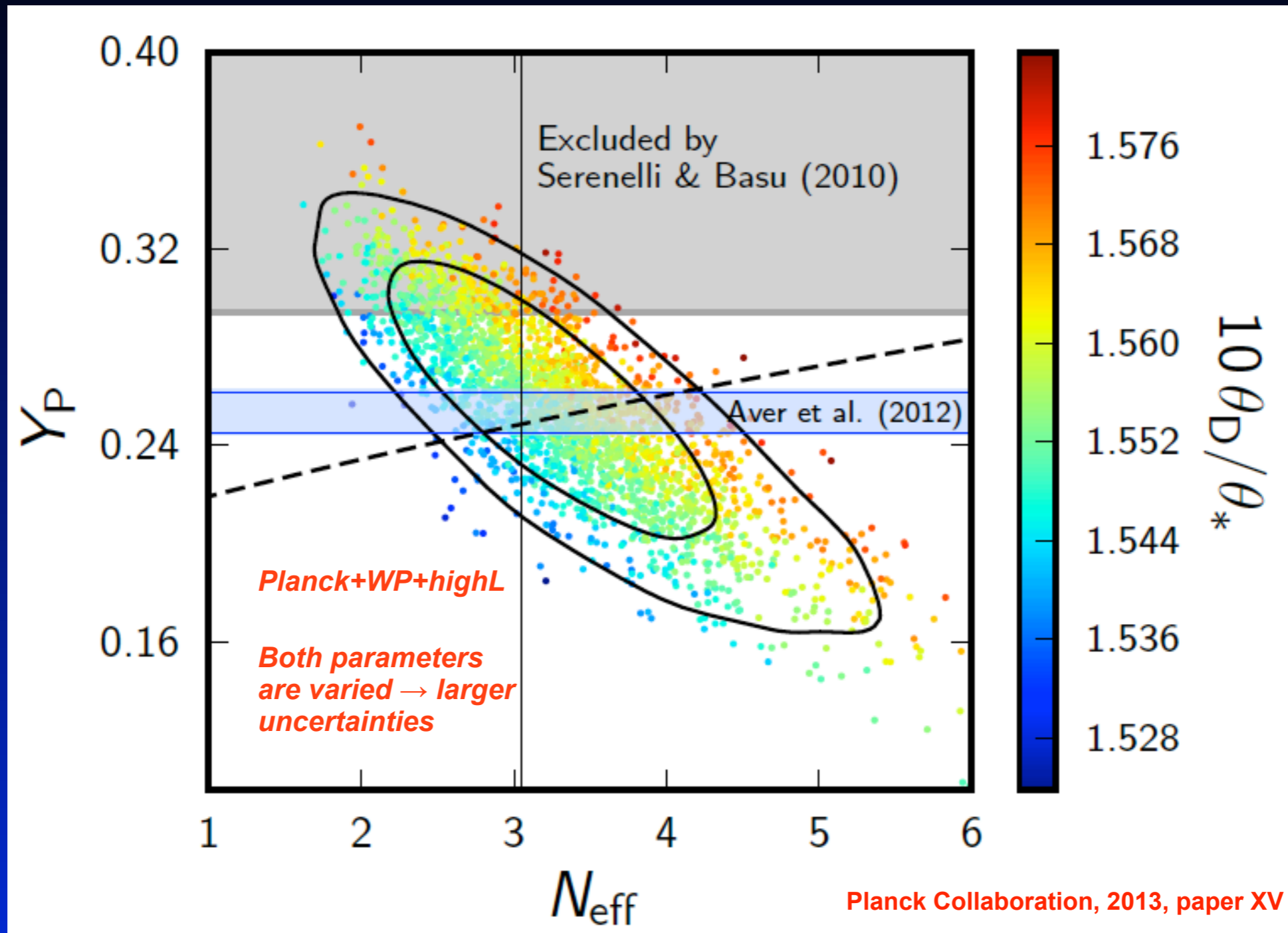
Importance of recombination for inflation constraints



Planck Collaboration, 2015, paper XX

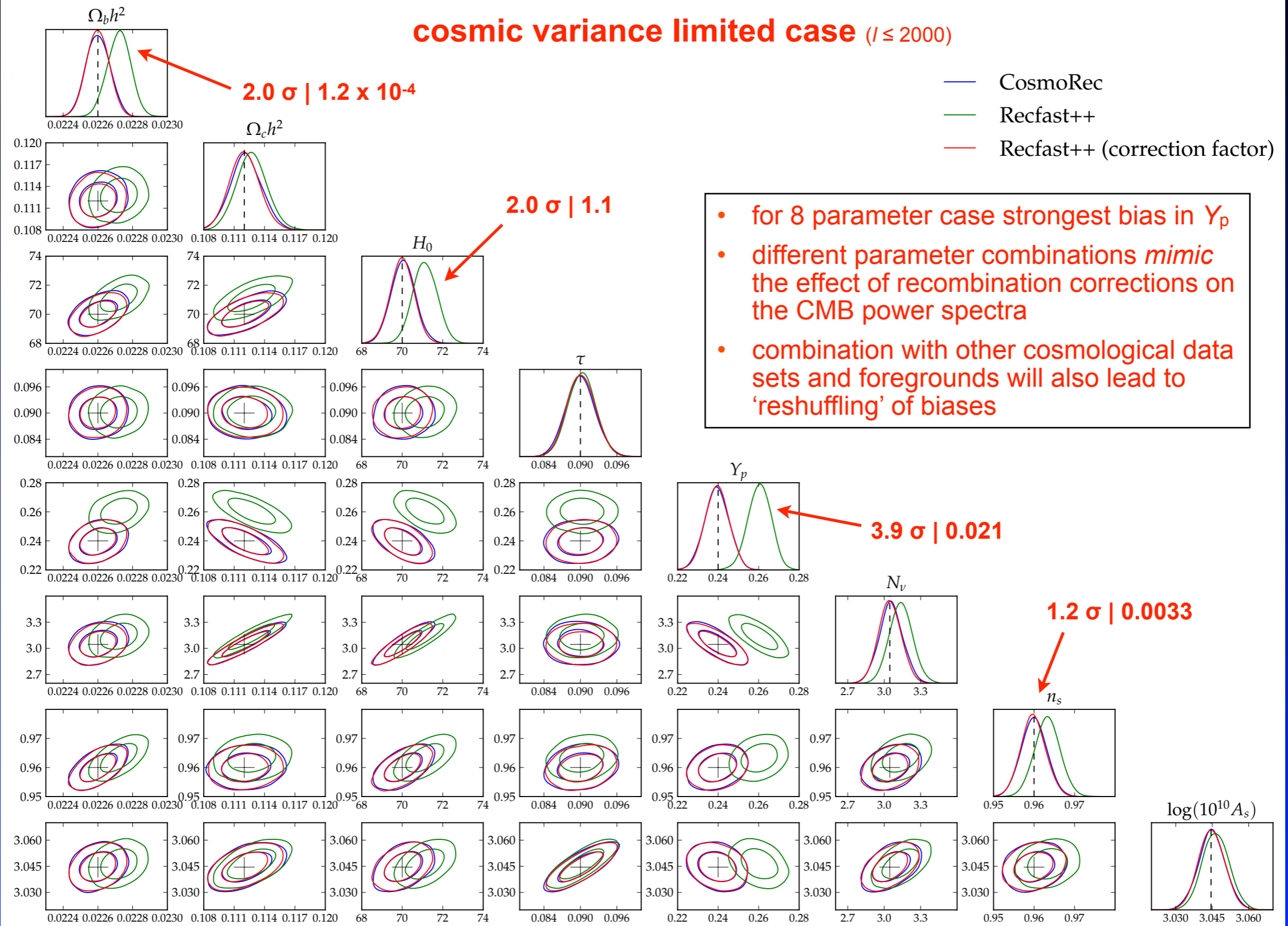
- Analysis uses refined recombination model (CosmoRec/HyRec)

CMB constraints on N_{eff} and Y_p



- Consistent with SBBN and standard value for N_{eff}
- Future CMB constraints (Stage-IV CMB) on Y_p will reach 1% level

Importance of recombination for measuring helium



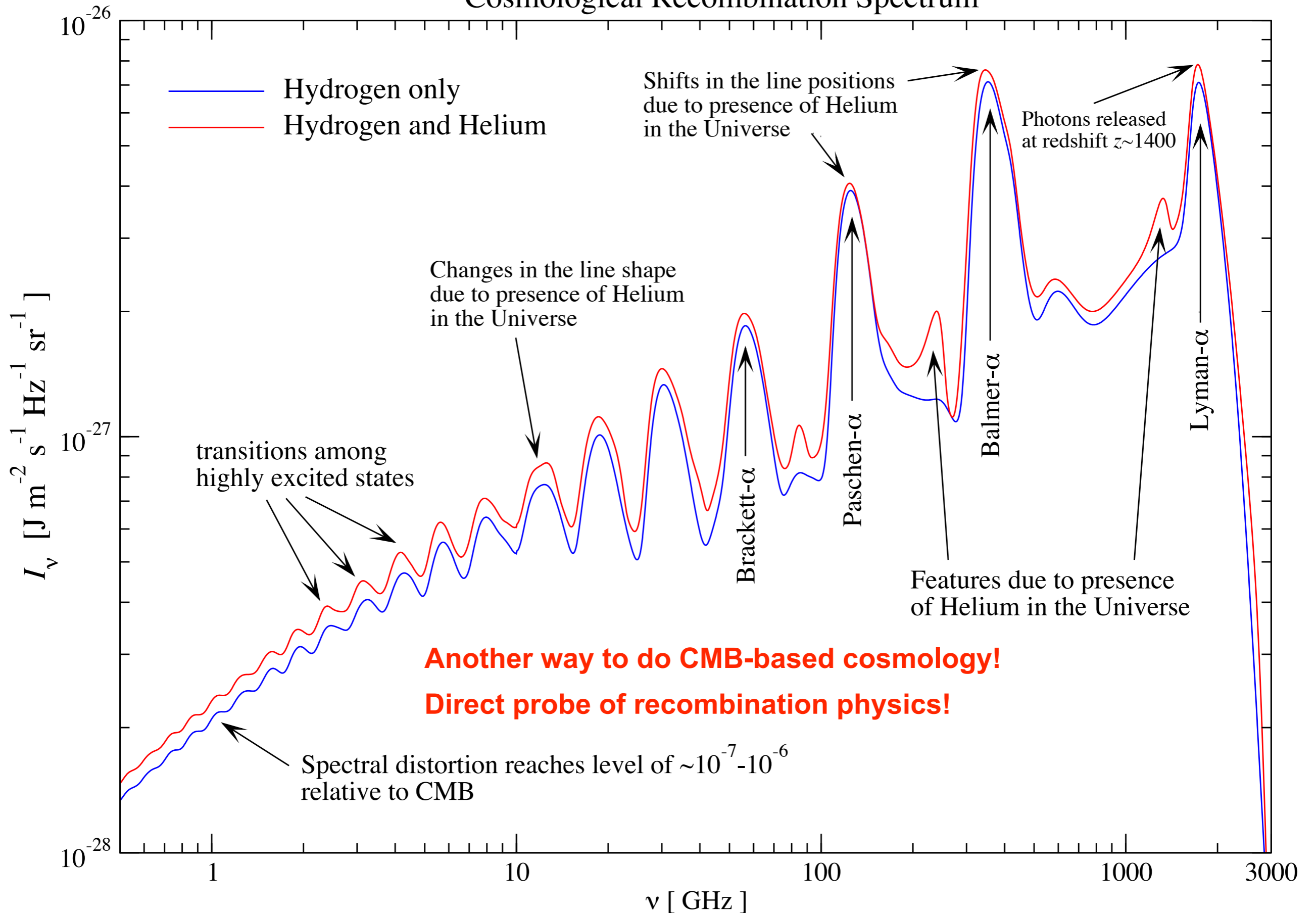
Cosmological Recombination Radiation

Simple estimates for hydrogen recombination

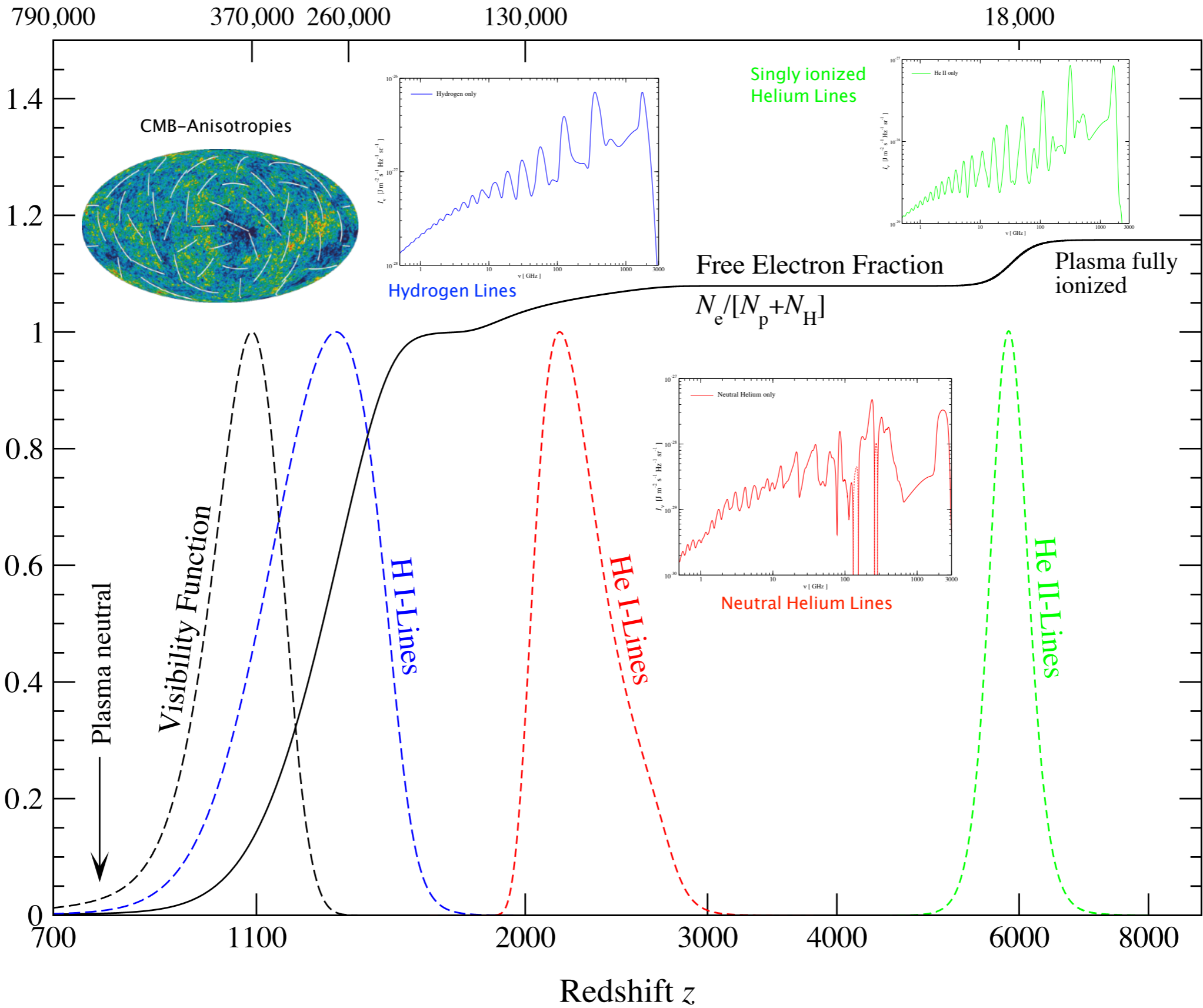
Hydrogen recombination:

- per recombined hydrogen atom an energy of ~ 13.6 eV in form of photons is released
 - at $z \sim 1100 \rightarrow \Delta\varepsilon/\varepsilon \sim 13.6 \text{ eV } N_b / (N_\gamma 2.7kT_r) \sim 10^{-9} - 10^{-8}$
- recombination occurs at redshifts $z < 10^4$
- At that time the *thermalization* process doesn't work anymore!
- There should be some *small* spectral distortion due to additional Ly- α and 2s-1s photons!
- (Zeldovich, Kurt & Sunyaev, 1968, ZhETF, 55, 278; Peebles, 1968, ApJ, 153, 1)
- In 1975 **Viktor Dubrovich** emphasized the possibility to observe the recombinational lines from $n > 3$ and $\Delta n \ll n$!

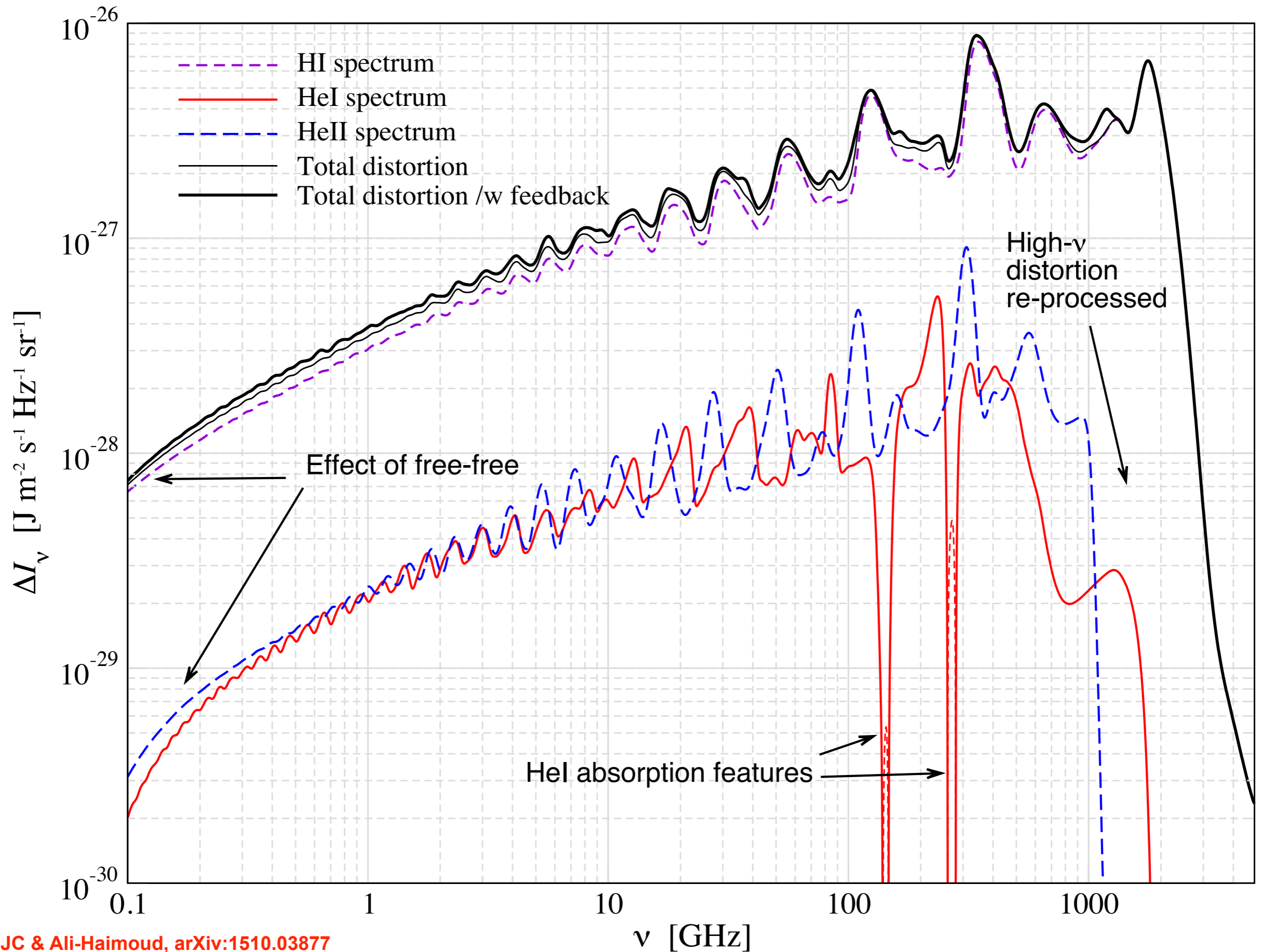
Cosmological Recombination Spectrum



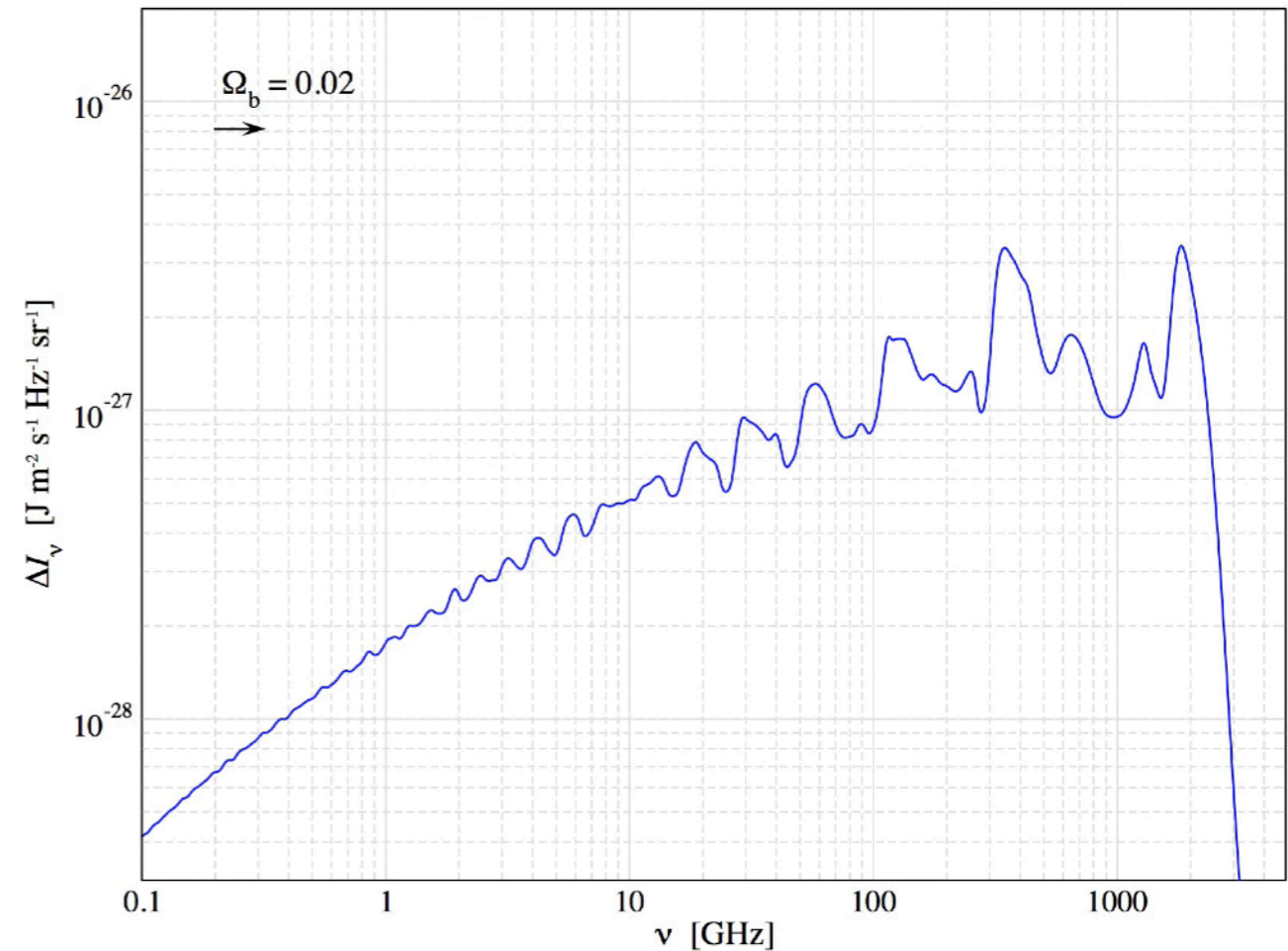
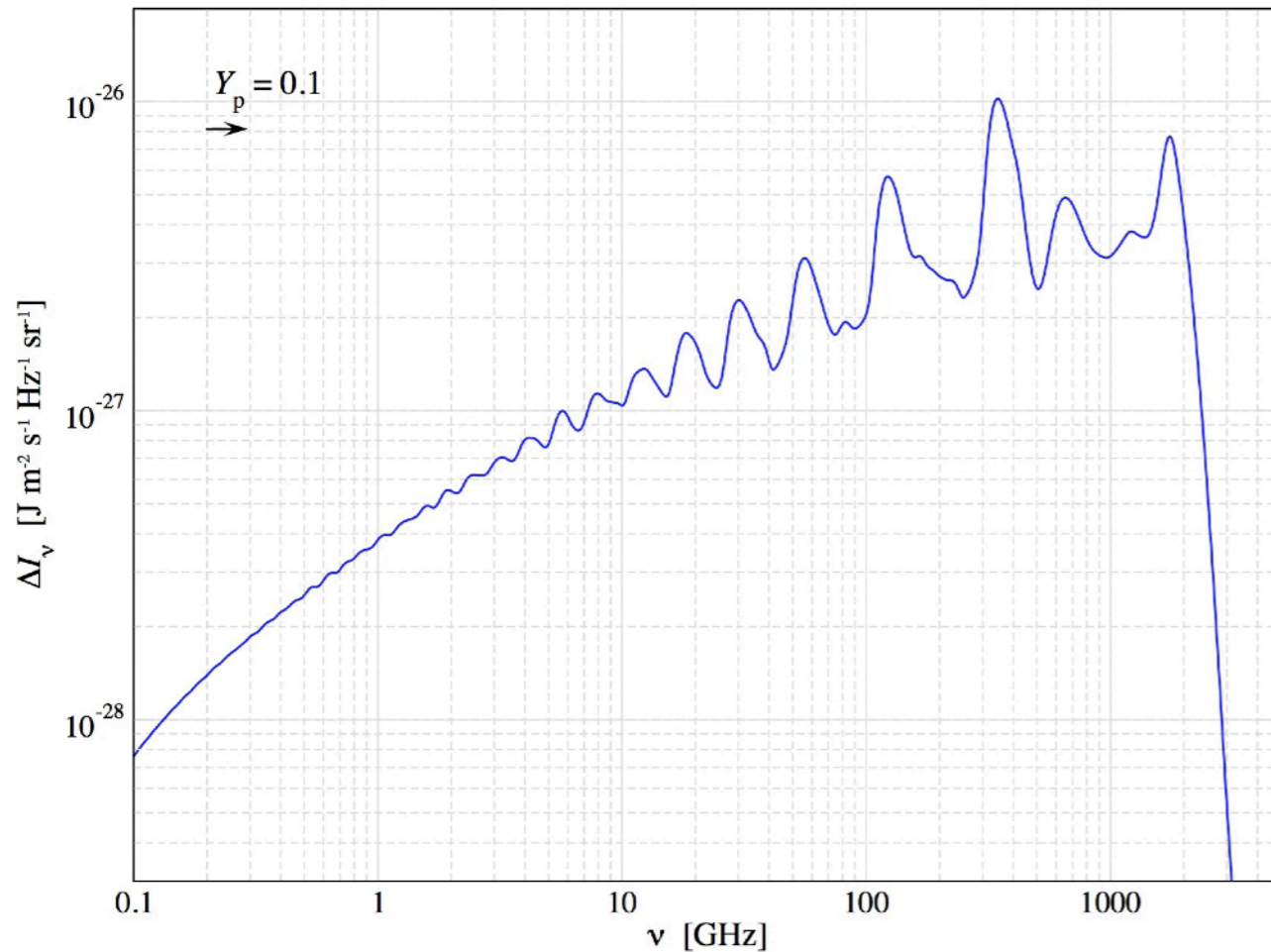
Cosmological Time in Years



New detailed and fast computation!



CosmoSpec: fast and accurate computation of the CRR



- Like in old days of CMB anisotropies!
- detailed forecasts and feasibility studies
- non-standard physics (variation of α , energy injection etc.)

CosmoSpec will be available here:

www.Chluba.de/CosmoSpec

What would we actually learn by doing such hard job?

Cosmological Recombination Spectrum opens a way to measure:

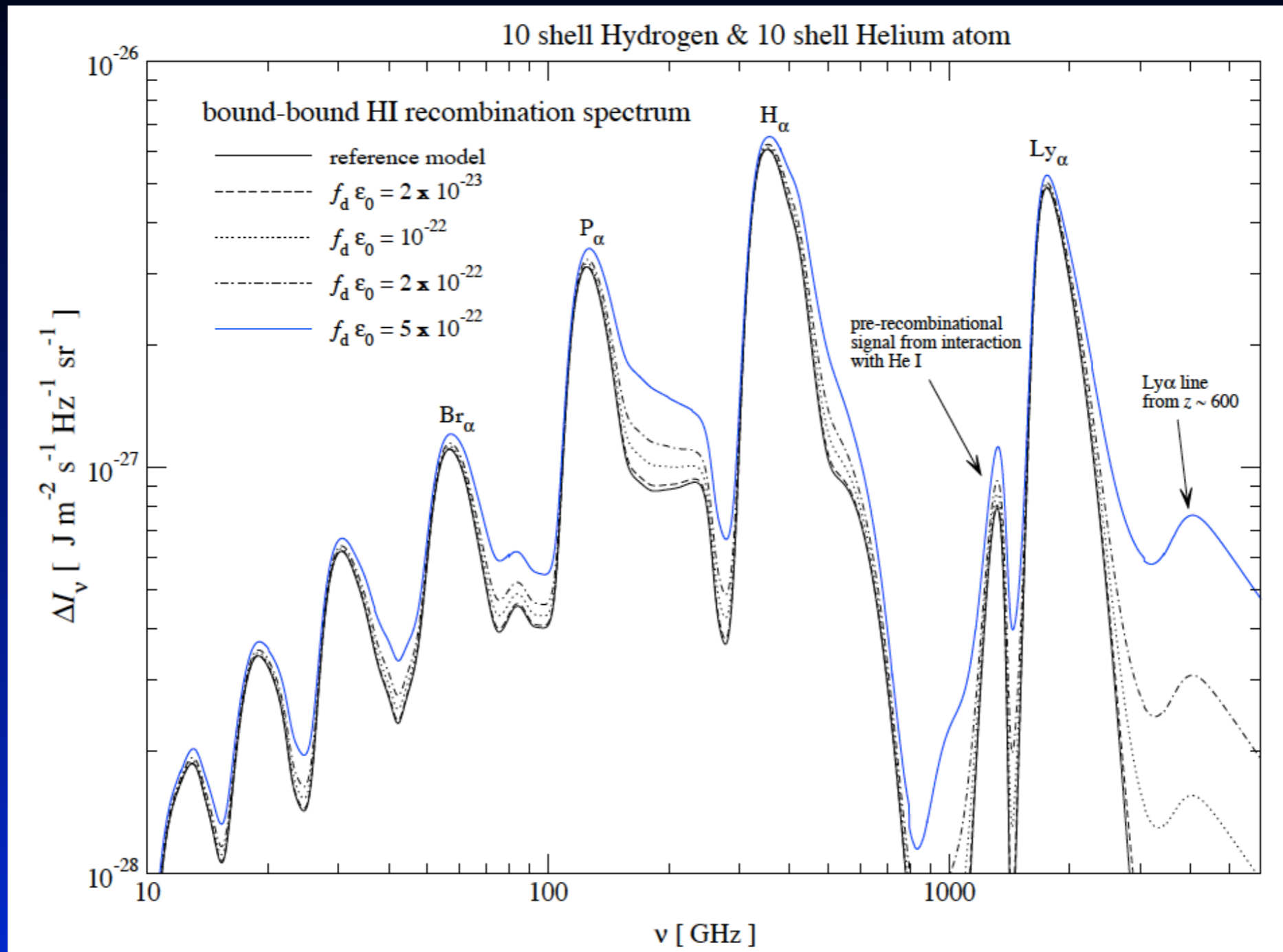
- the specific *entropy* of our universe (related to $\Omega_b h^2$)
- the CMB *monopole* temperature T_0
- *the pre-stellar abundance of helium* Y_p
- *If recombination occurs as we think it does, then the lines can be predicted with very high accuracy!*

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- *In principle allows us to directly check our understanding of the standard recombination physics*

Dark matter annihilations / decays



JC, 2009, arXiv:0910.3663

- Additional photons at all frequencies
- Broadening of spectral features
- Shifts in the positions

→ More tomorrow....

What would we actually learn by doing such hard job?

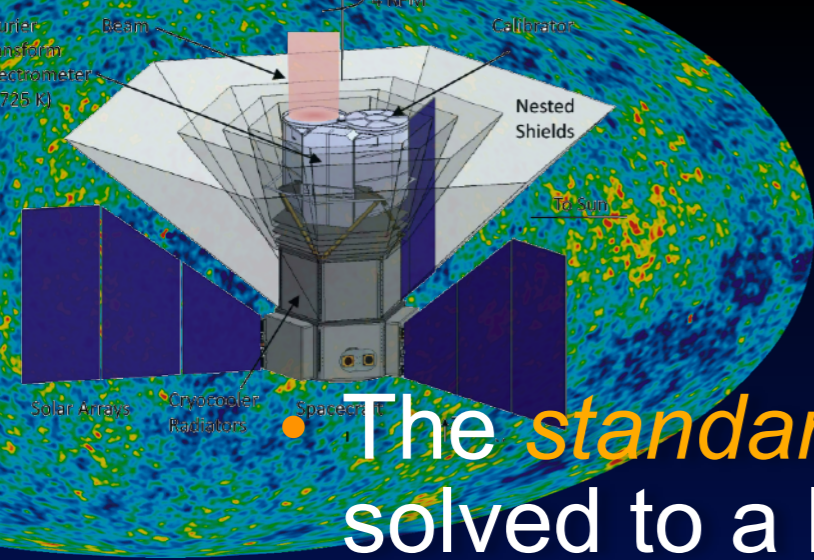
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- *In principle allows us to directly check our understanding of the standard recombination physics*

If something unexpected or non-standard happened:

- *non-standard thermal histories should leave some measurable traces*
- *direct way to measure/reconstruct the recombination history!*
- *possibility to distinguish pre- and post-recombination y-type distortions*
- *sensitive to energy release during recombination*
- *variation of fundamental constants*

Summary



- The *standard recombination* problem has been solved to a level that is sufficient for the analysis of current and future CMB data (<0.1% precision!)
- Many people helped with this problem!
- Without the improvements over the original version of Recfast *cosmological parameters* derived from Planck would be *biased* significantly
- In particular the discussion of *inflation* models would have been affected
- Cosmological recombination radiation allows us to directly *constrain* the *recombination history*

