

Well-tempered next-to-minimal dark matter

Felix Brümmer

1703.00370, with A. Bharucha and R. Ruffault
1804.02357, with A. Bharucha and N. Desai



Motivation: WIMPs

Observation:

new particle with EW-scale mass & cross-section
⇒ thermal relic density $\Omega h^2 \approx 0.1$ = observed value

Motivation: WIMPs

Observation:

new particle with EW-scale mass & cross-section
⇒ thermal relic density $\Omega h^2 \approx 0.1 =$ observed value



“WIMP miracle”

A closer look

Does this back-of-an-envelope survive when doing a proper calculation?

No — in fact we're 1 – 2 orders of magnitude **short of a miracle**:

- a thermal higgsino needs $m = 1.1 \text{ TeV} \gg m_Z$
- a thermal wino needs $m = 2.5 \text{ TeV} \gg m_Z$
- minimal DM (fermionic 5-plet or scalar 7-plet) needs $m \approx 10 \text{ TeV} \gg \gg m_Z$

A WIMP with generic electroweak quantum numbers and a mass of $\sim 100 \text{ GeV}$ has a **too large annihilation cross section**.

A WIMP which is within kinematic reach of LHC is necessarily **mostly $SU(2) \times U(1)$ singlet**.

This talk's WIMP

Assumptions for this talk:

- DM = mostly $SU(2) \times U(1)$ **singlet**
- **Some admixture of non-singlet state** for right relic density from coannihilation
- Mass of **order 100 GeV** to be within LHC reach

Q: Why should nature care about LHC discovery potential?

A: She might not — but we do!



This talk's WIMP

Further assumptions:

- DM is a fermion
 - Stabilized by \mathbb{Z}_2
 - Sub-TeV particle content is minimal
 - We don't consider EW doublets
- extensive literature on well-tempered bino-higgsino and its non-SUSY version

Dark matter is a singlet fermion χ mixing with an n -plet fermion ψ ($n \geq 3$) through higher-dimensional operators.

States inducing the mixing live at scales \gtrsim TeV \Rightarrow mostly irrelevant for LHC if carrying only EW charges.

A familiar example

Split SUSY with somewhat heavy higgsinos and $M_1 < M_2$.

DM is **mostly bino** (singlet), mixing with **wino** (3-plet) through dimension-5 operator

$$\mathcal{L}_{\text{mix}} = \frac{\tilde{g}_u \tilde{g}'_d + \tilde{g}_d \tilde{g}'_u}{\mu} \phi^\dagger \tau^a \phi \widetilde{W}^a \widetilde{B}$$

where $\phi =$ SM-like Higgs doublet.

Example of a “**well-tempered neutralino**” → e.g. Arkani-Hamed/Delgado/Giudice '06

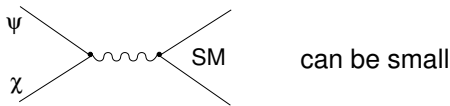
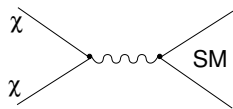
Pheno details: e.g. → Rolbiecki/Sakurai '15, Nagata/Otono/Shirai '15

Features:

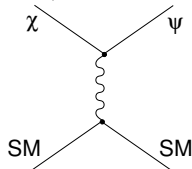
- Rather small direct detection cross section (small mixing angle in MSSM, no Z coupling to either bino or wino)
- Tiny indirect detection cross section (DM mostly singlet)

Relic density

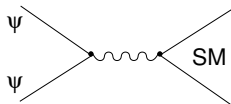
Somewhat under-appreciated fact: Coannihilation can be **very efficient** in reducing the DM relic density **even when DM coupling to SM is tiny**.



provided that χ remains in equilibrium via



and that



is efficient.

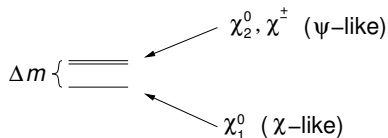
Annihilation of ψ efficiently depletes χ , even if $\psi - \chi$ mixing angle is $\ll 1$.

→ Bharucha/FB/Ruffault '17, D'Agnolo/Pappadopulo/Ruderman '17, Garny/Heisig/Lüpf/Vogl '17

First case study: SU(2) triplets

→ See also talk by A. Filimonova on Wednesday (pseudoscalar coupling)

Particle content: one charged and two neutral fermions



Interactions of χ_1^0 with SM mainly through two operators:

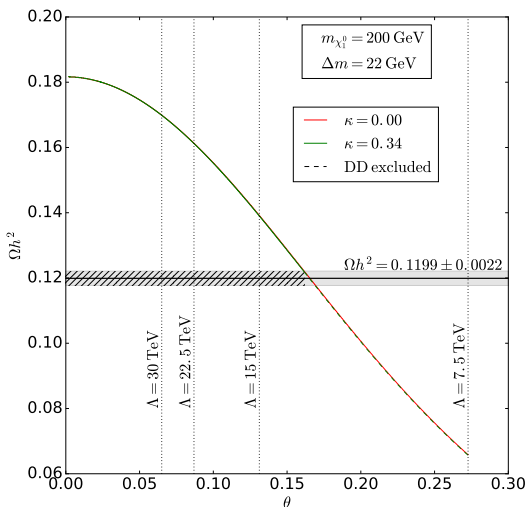
$$\mathcal{L} = \frac{1}{2} \frac{\kappa}{\Lambda} \phi^\dagger \phi \chi \chi + \frac{\lambda}{\Lambda} \phi^\dagger \tau^a \phi \psi^a \chi + \text{h.c.}$$

ϕ = SM Higgs; Λ = cutoff scale.

Wilson coefficients κ, λ both contribute to **DM annihilation** (\Rightarrow thermal relic density) and **DM-nucleus scattering** (\Rightarrow direct detection).

Trade λ for **mixing angle** $\theta = \frac{\lambda}{\Lambda} \frac{v^2}{\Delta m}$

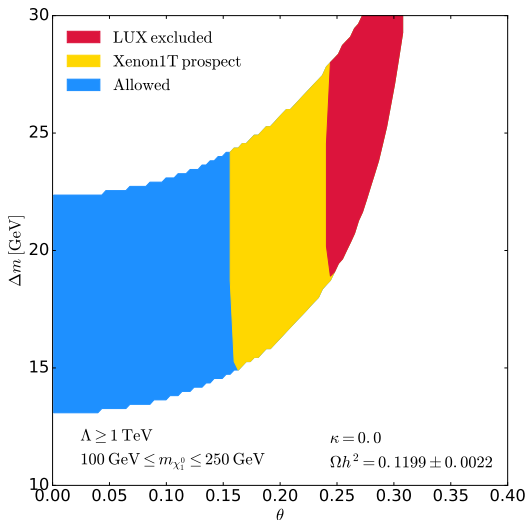
First case study: SU(2) triplets



Any κ large enough to influence relic density significantly is ruled out by direct detection.

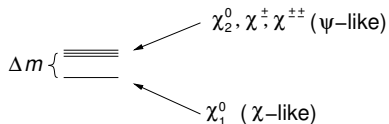
First case study: SU(2) triplets

For $\kappa = 0$:



Second case study: SU(2) quintuplets

Particle content: one doubly charged, one singly charged and two neutral fermions

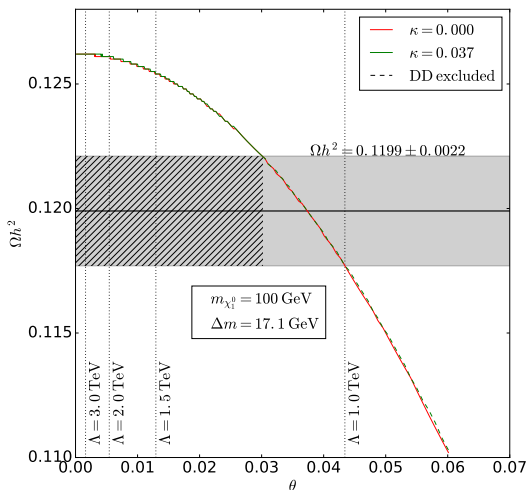


- Doubly charged state \Rightarrow potentially characteristic signatures at LHC (long-lived)
- Mixing operator is now **dimension 7**:

$$\frac{\lambda}{\Lambda^3} \phi^{\dagger i} \phi_j \phi^{\dagger k} \phi_\ell C_{A ik}^{j\ell} \psi^A \chi + \text{h.c.}$$

\Rightarrow mixing angles **small** for reasonable cutoff scale ($\Lambda \gtrsim \text{TeV}$)

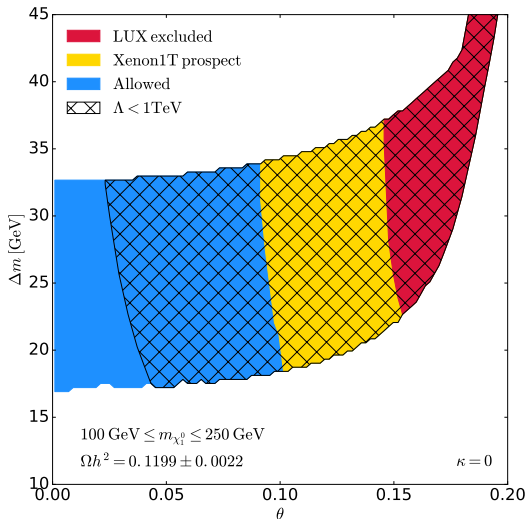
Second case study: SU(2) quintuplets



Similar to triplet case. Mass parameters need some tuning. Wilson coefficient κ for dimension-5 operator $\frac{\kappa}{\Lambda} \phi^\dagger \phi \chi \chi$ already **tightly constrained** by direct detection.

First case study: SU(2) quintuplets

For $\kappa = 0$:



On quadruplets

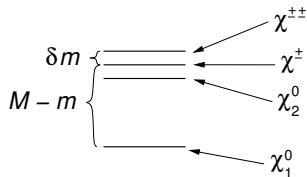
The quadruplet (isospin 3/2) case is more complicated because

- we now need a Dirac fermion $(\psi, \bar{\psi})$
- one doubly charged, two singly charged mass eigenstates
- **three** neutral mass eigenstates \Rightarrow **two** relevant neutral mixing angles
- spectrum depends on additional Wilson coefficients inducing non-universal mass splittings in the ψ sector
- **proliferation of parameters**

Result of our analysis: Qualitatively similar conclusions as for triplet/quintuplet case \rightarrow [FB/Bharucha/Ruffault '17](#)

Collider phenomenology: Displaced leptons

Zoom in on the quintuplet mass spectrum:



where

$$\delta m = \delta m^{(\text{tree})} + \delta m^{(1\text{-loop})}$$

Source for $\delta m^{(\text{tree})}$ is dimension-7 operator:

$$\frac{1}{\Lambda^3} \underbrace{C^{ABC}}_{\text{tot. symmetric}} \psi_A \psi_B (\phi^\dagger \phi \phi^\dagger \phi)_C \quad \Rightarrow \quad \left| \delta m^{(\text{tree})} \right| \lesssim \text{few } 100 \text{ MeV}$$

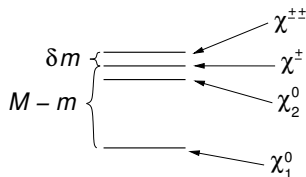
Source for $\delta m^{1\text{-loop}}$ are electroweak loops:

The diagram shows a loop of W and Z bosons between two external lines of $\chi^{\pm(\pm)}$. The loop is labeled W, Z. The external lines are labeled $\chi^{\pm(\pm)}$.

$$\Rightarrow \quad \delta m^{(\text{one-loop})} \approx 500 \text{ MeV}$$

Collider phenomenology: Displaced leptons

Zoom in on the quintuplet mass spectrum:



Numerically: $M - m \approx 15 - 50$ GeV (coannihilation), $\delta m \approx$ few 100 MeV.

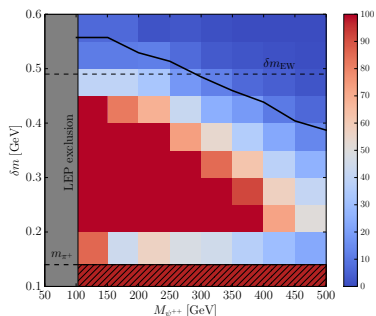
Typical $\chi^{\pm\pm}$ decay:

$$\chi^{\pm\pm} \rightarrow \chi^{\pm} (\rightarrow \chi_1^0 \ell^{\pm} \nu_{\ell}) \pi^{\pm}$$

- Decay into singly-charged χ^{\pm} and pion via off-shell W is **only open 2-body mode**. Pion too soft to be seen.
- Small mass splitting $\delta m \Rightarrow$ small phase space \Rightarrow macroscopic decay length ≈ 0.5 mm
- Lepton from subsequent χ^{\pm} decay will be **displaced**.

Collider phenomenology: Displaced leptons

- CMS has published searches for displaced OS leptons at 8 TeV \rightarrow PRL 114 (2015) 6 and 13 TeV \rightarrow CMS-PAS-EXO-16-022
- 8 TeV analysis gives **better constraints** because of looser lepton p_T cuts (At 13 TeV, hard cuts to completely remove heavy flavour backgrounds)
- Exclusion (black curve) as a function of M and δm :



Collider phenomenology: Soft dileptons

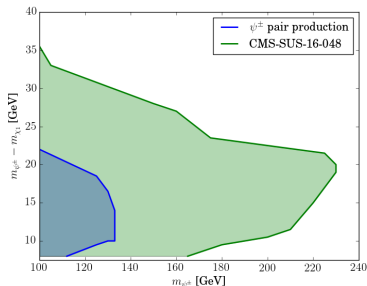
Triplet model usually doesn't have long-lived states)

Instead: **Low-momentum OS lepton pairs**

Search for **compressed SUSY neutralino-chargino pair production**

→ CMS-PAS-SUS-16-048 allows to **constrain triplet model**. Exclusion depends on preferred χ_2 decay mode:

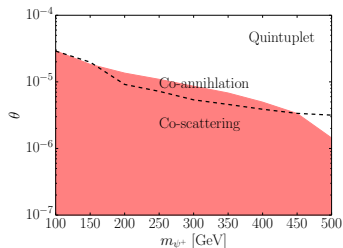
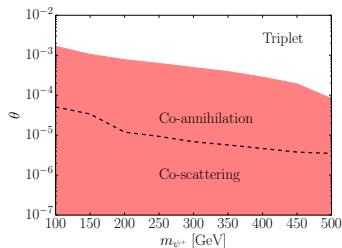
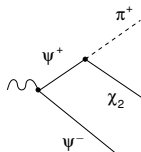
- **green curve**: CMS analysis, assuming $\chi_2 \psi^\pm$ production with $\chi_2 \rightarrow \chi_1 Z^*$
- **blue curve**: recast for $\psi^+ \psi^-$ production if $\chi_2 \rightarrow \chi_1 h^*$ (no leptons)



Collider phenomenology: Disappearing tracks

For **very small mixing angles** $\lesssim 10^{-3}$ between singlet χ and n -plet ψ : singly-charged ψ^+ decays into χ_2 (ψ -like) rather than directly into χ_1 (χ -like).

Mass degeneracy in n -plet sector \Rightarrow long-lived $\psi^+ \Rightarrow$ **disappearing track**



Conclusions

- Dark matter could be a mixed singlet – n -plet with an EW-scale mass.
- Effective theory. Mixing induced by higher-dimensional operators.
- Simplest example: Well-tempered bino-wino in split SUSY.
- LUX already very constraining, Xenon1T even more.
- Collider signatures:
 - Displaced leptons in quintuplet model
 - Soft dileptons in triplet model (weaker constraints)
 - Disappearing tracks in both (if mixing angle small)