



Charged-particle pseudorapidity density and the initial state

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Disclaimer

I am an ALICE collaborator, so many results will be from the
ALICE collaboration



Overview

① Measurements of $dN_{\text{ch}}/d\eta$

② Theoretical expectations

③ Interlude

④ Experimental conclusions

Limiting fragmentation and ratios

Midrapidity $dN_{\text{ch}}/d\eta$ and total N_{ch}

Gaussianity of dN_{ch}/dy

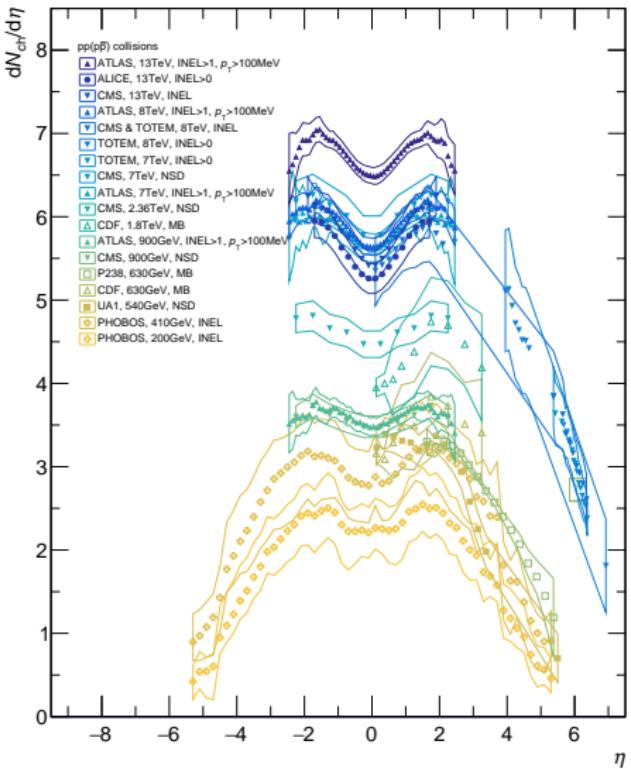
⑤ Summary



Wealth of measurements

$p\bar{p}$ results

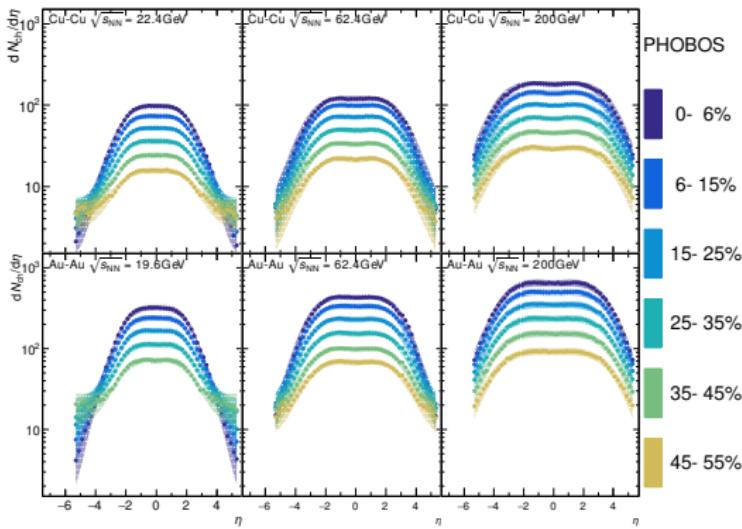
- From $\sqrt{s} = 200 \text{ GeV}$ to 13 TeV
- Inelastic
 - with $N_{\text{ch}} > 0$
 - with $N_{\text{ch}} > 1$
- Non-single diffractive
- Mostly $|\eta| < 2$



Wealth of measurements

AA at RHIC energies

- Au–Au & Cu–Cu
- From $\sqrt{s_{NN}} = 20 \text{ GeV}$ to 200 GeV
- Mostly PHOBOS
Also results from BRAHMS, STAR



PRC83(2011)024913

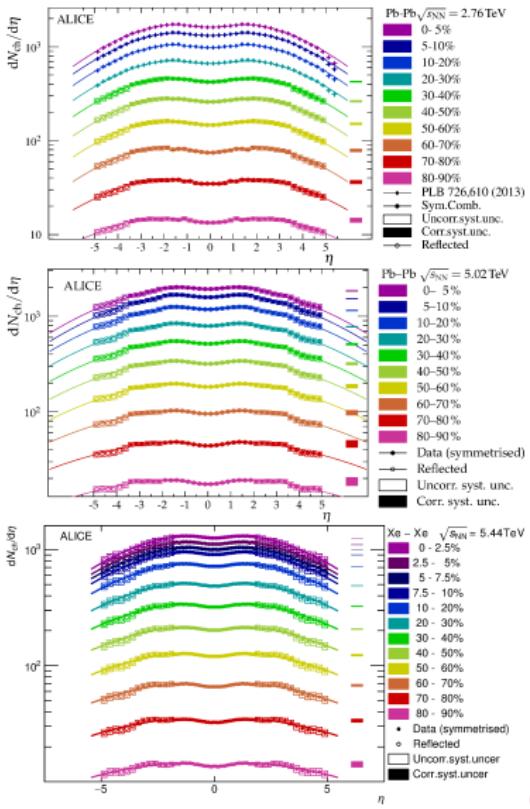


Wealth of measurements

AA at LHC energies

- Xe–Xe & Pb–Pb
- From $\sqrt{s_{\text{NN}}} = 2.76 \text{ TeV}$ to 5.44 TeV
- Here ALICE $-3.5 < \eta < 5$
- Also ATLAS, CMS

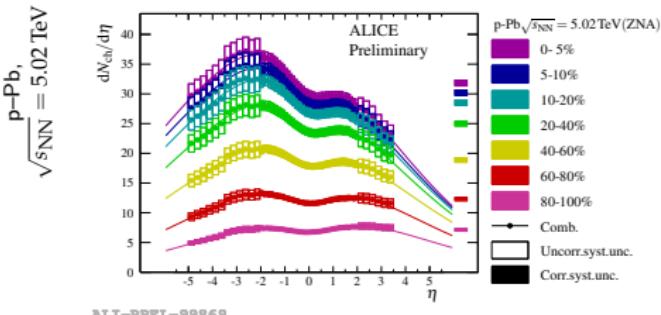
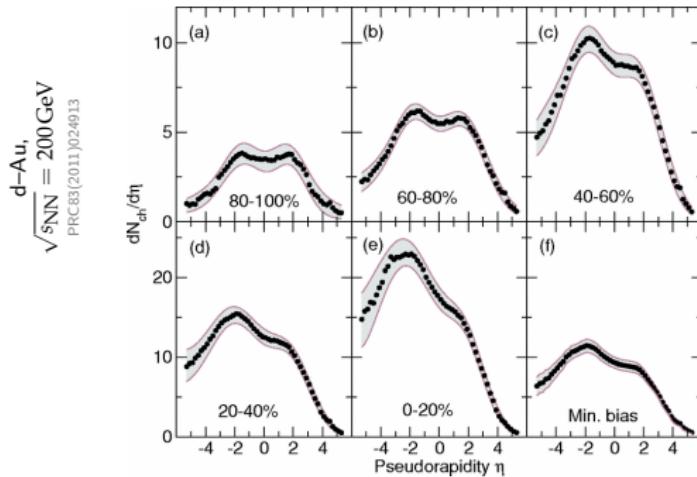
$$\begin{aligned} &\text{Pb–Pb}, \quad \sqrt{s_{\text{NN}}} = 2.76 \text{ TeV} \\ &\text{ALICE} \quad \text{PLB754(2016)373-385} \\ &\sqrt{s_{\text{NN}}} = 5.02 \text{ TeV} \\ &\text{ALICE} \quad \text{PLB772(2017)567-577} \\ &\chi_{\text{Xe–Xe}}, \quad \sqrt{s_{\text{NN}}} = 5.44 \text{ TeV} \\ &\text{arXiv:1805.04432} \end{aligned}$$



Wealth of measurements

d–Au & p–Pb results

- From $\sqrt{s_{\text{NN}}} = 200 \text{ GeV}$ to 5.02 TeV
- Here, PHOBOS & ALICE $|\eta| < 5.3$
 $-5 < \eta < 3.5$, resp.
- Also BRAHMS,
ALTAS, CMS



What to expect

Large range of expectations

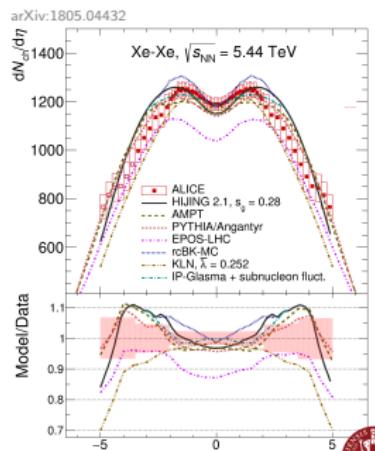
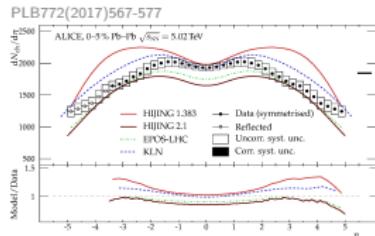
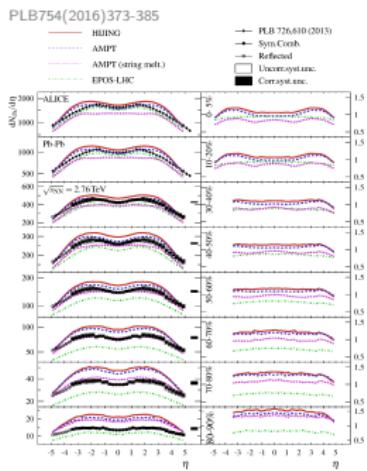
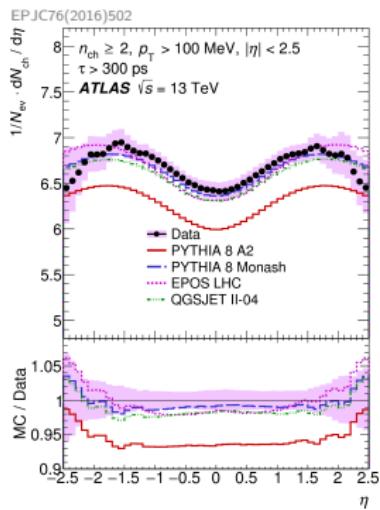
- Microscopic models
 - Glauber-based
 - Core-corona
 - ...
- Calculations
 - Landau-Carruthers
$$dN_{ch}/dy \propto 1/(\sqrt{2\pi}\sigma) e^{-y^2/(2\sigma^2)} \text{ with } \sigma = \log \sqrt{s_{NN}} / (2m_p)$$
 - Landau-Wong
$$dN_{ch}/dy \propto e^{\sqrt{y_{beam}^2 - y^2}}$$
 - 3-source models

2 fragmentation Gaussians plus one production Gaussian
 - Colour-Glass-Condensate
 - ...



Models have room for improvement

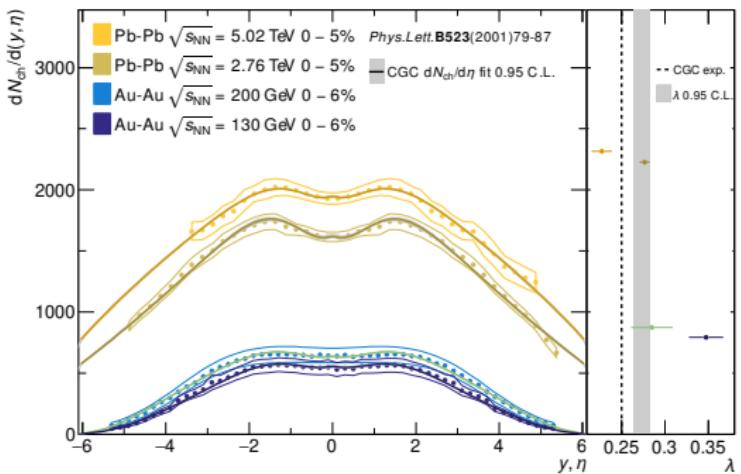
- Generally OK near $\eta = 0$
- Most deviate for $|\eta| > 0$



The (not-so) transparent glass

- Fit CGC expression
- Good fit of $dN_{ch}/d\eta$
- λ parameter off

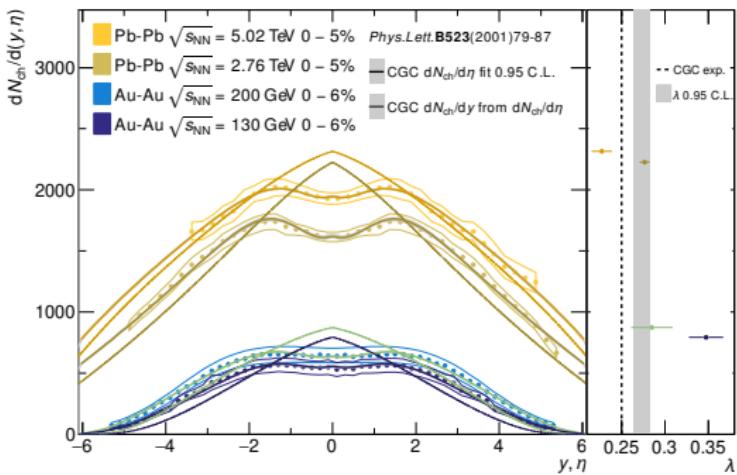
However . . .



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- Fit CGC expression
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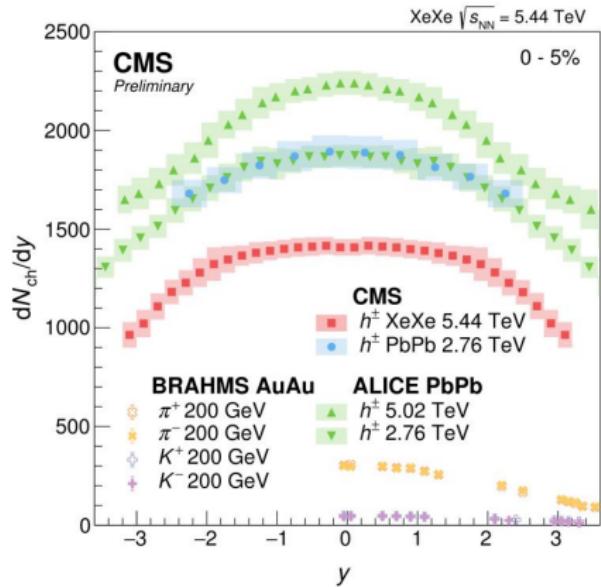


- Sharp peak in dN_{ch}/dy at $y = 0$



Calculations via dN_{ch}/dy estimates

Landau-Carruthers et al prescribe width of dN_{ch}/dy

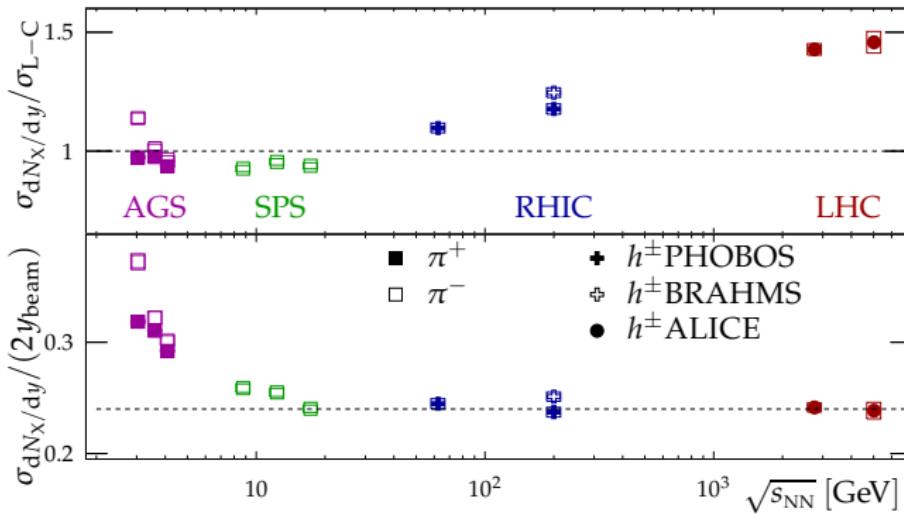


All (except CMS) Gaussian, extract σ

- BRAHMS: Direct measurement $\pi^\pm, K^\pm, p, \bar{p}$
- CMS:
 $dN_{\text{ch}}/d\eta \xrightarrow{J} dN_{\text{ch}}/dy$
 Simulated Jacobian J
- ALICE:
 $dN_{\text{ch}}/d\eta \xrightarrow{J} dN_{\text{ch}}/dy$
 Calculated Jacobian J
 from identified dN/dp_T



Data wider than expectation



- From top SPS, wider than Landau hydrodynamics
- Same range, follow y_{beam}
- Final state fill up phase-space



Interlude — theory & experiment

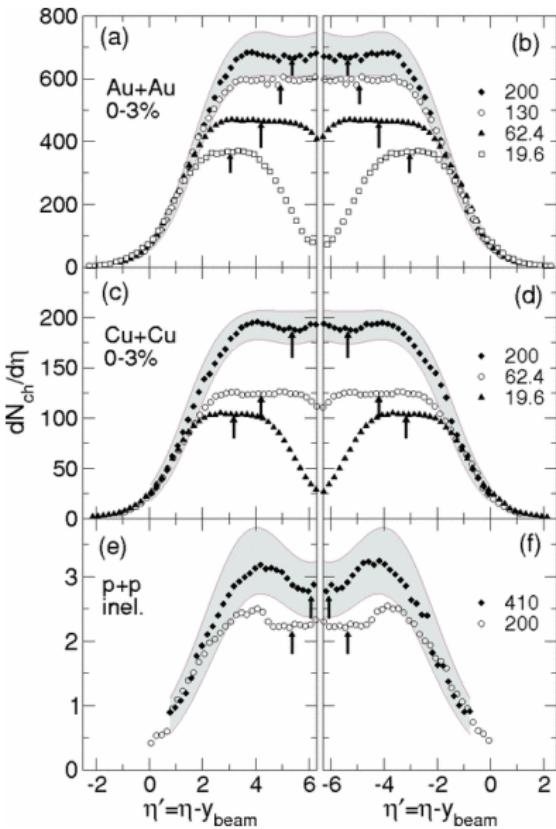
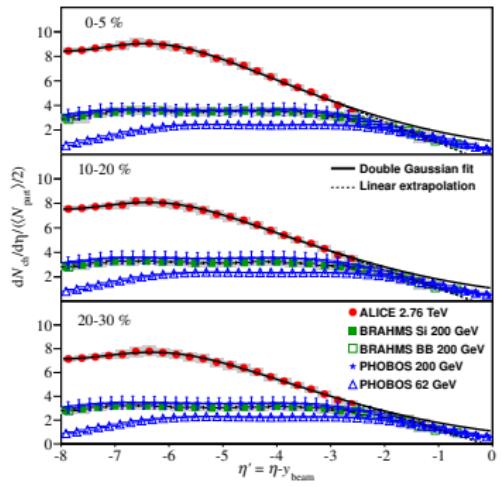
- Microscopic models have room for improvement
- Landau-Hydro good up to top SPS
- Roughly Gaussian dN_{ch}/dy
- Incoherent particle production

How to make sense of it all?



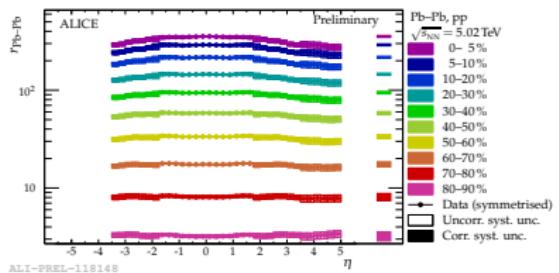
Limiting fragmentation

- $dN_{\text{ch}}/d\eta$ at large $|\eta|$ independent of $\sqrt{s_{\text{NN}}}$.
- Holds in pp and Cu–Cu
- Study not feasible for $\sqrt{s_{\text{NN}}} > 2.76 \text{ TeV}$



Comparing to pp

$$r_X = dN_{\text{ch}}/d\eta|_X / dN_{\text{ch}}/d\eta|_{\text{pp}}$$



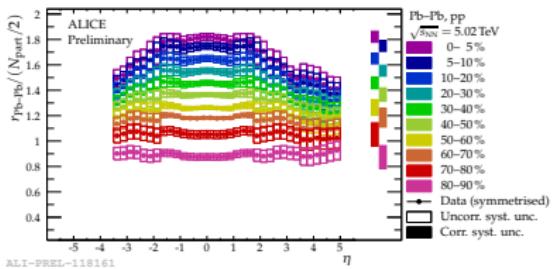
Pb–Pb

- $\times 10^2$ over pp
- Increase as $\eta \rightarrow 0$



Comparing to pp

$$r_X = dN_{\text{ch}}/d\eta|_X / dN_{\text{ch}}/d\eta|_{\text{pp}}$$



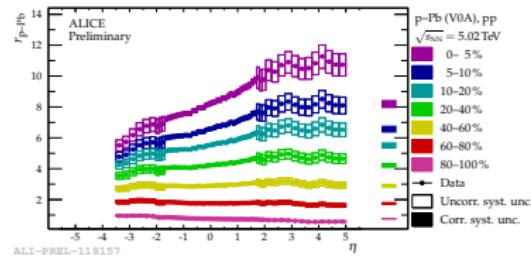
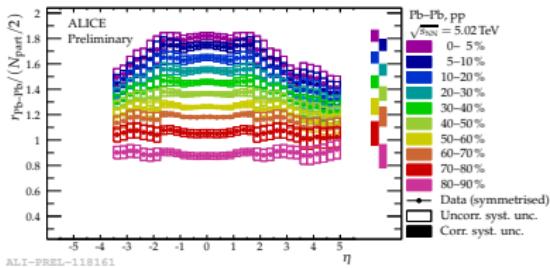
Pb–Pb

- $\times 10^2$ over pp
- Increase as $\eta \rightarrow 0$
- Scale by $2/N_{\text{part}}$ (Glauber)
- Collimation near $\eta = 0$



Comparing to pp

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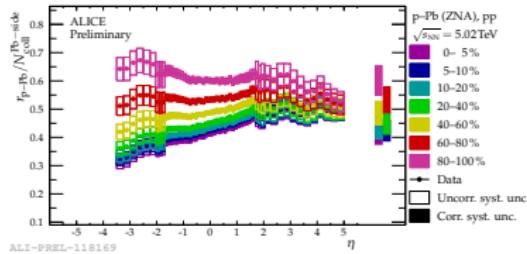
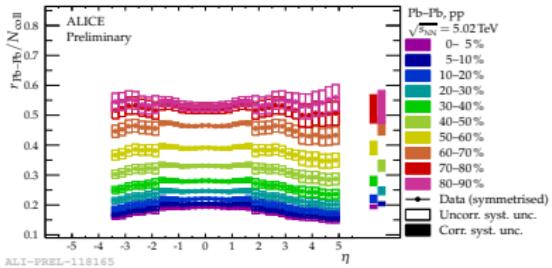
p–Pb

- Centrality: V0A
- $\times 10$ over pp
- Near-linear increase from p- to Pb-going side



Nuclear modification

$$\frac{1}{N_{\text{coll}}} dN_{\text{ch}}/d\eta|_X / dN_{\text{ch}}/d\eta|_{\text{pp}}$$



- ↗ as $\eta \rightarrow 0$

- N.B.: Centrality ZNA
- Independent proton-nucleon scattering

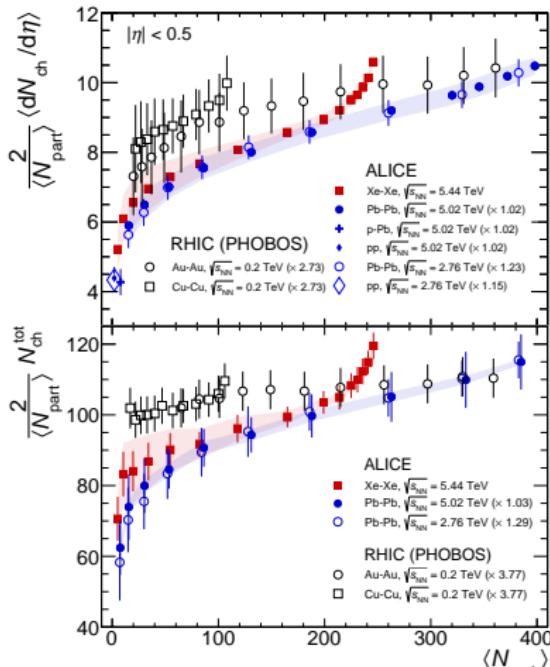
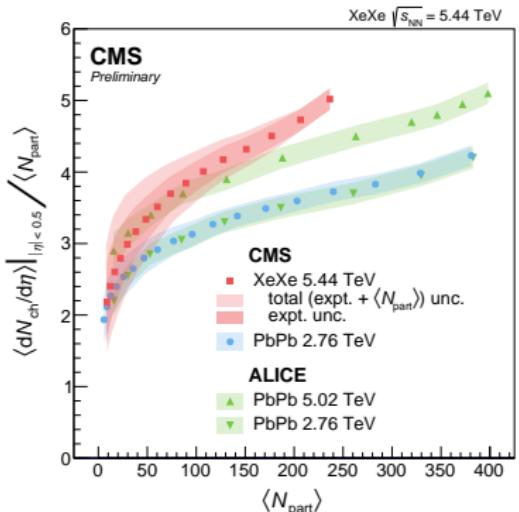
PRC72(2005)034907 PRL39(1977)1120

- Similar level in ion for most central Pb–Pb events.
similar fluctuations in central Pb–Pb as in p–Pb?



Per participant production

- Consistent increase from pp to most central
- However, “rapid” increase for most central smaller systems.

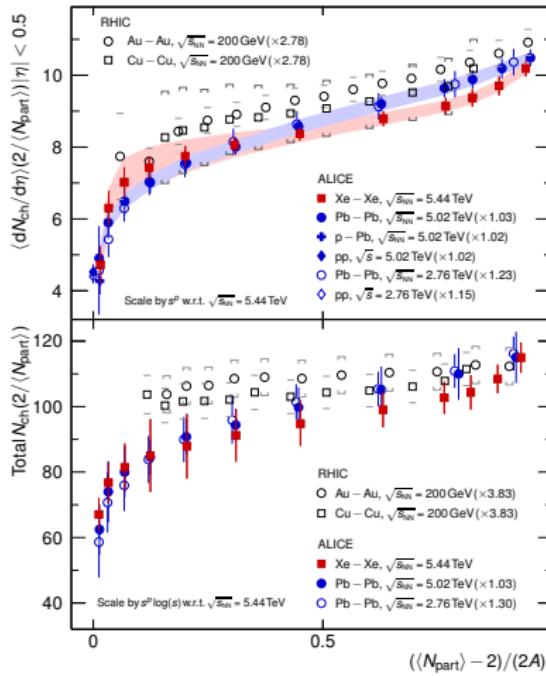
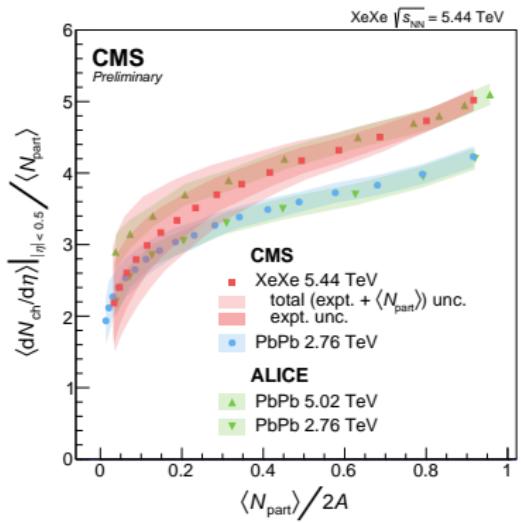


- Also “up-tick” in total N_{ch}



Production versus “natural centrality”

- Scale abscissa by $\max(N_{\text{part}})$

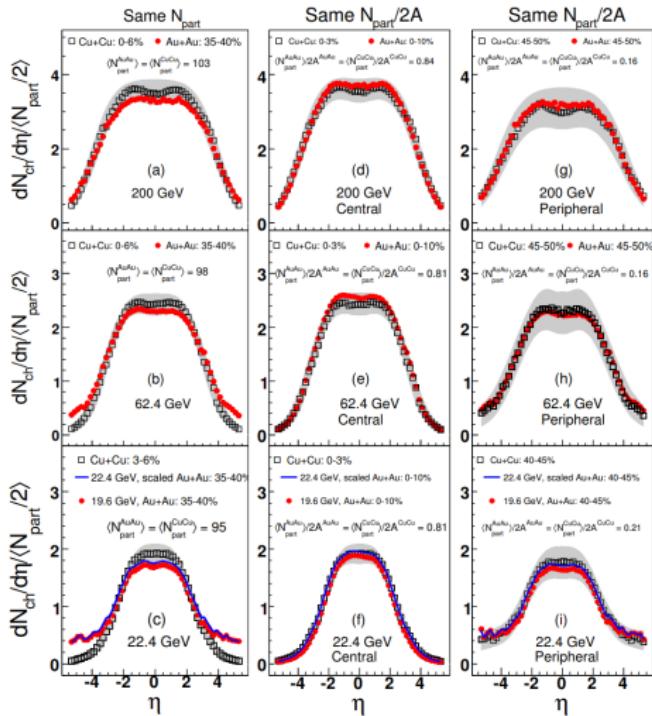


“Up-tick” also present in larger systems



$dN_{\text{ch}}/d\eta$ versus “natural centrality”

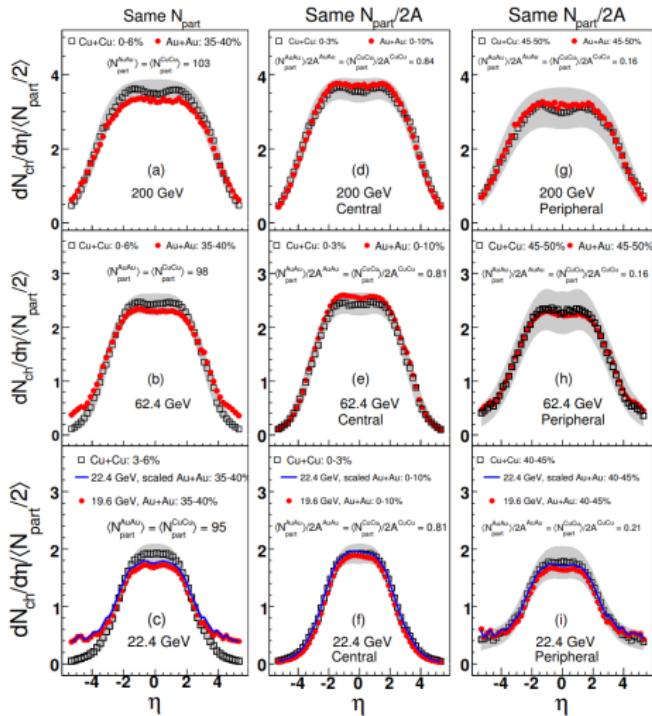
- Constant N_{part} show deviations
- Constant $N_{\text{part}}/(2A)$ show scaling



$dN_{\text{ch}}/d\eta$ versus “natural centrality”

- Constant N_{part} show deviations
- Constant $N_{\text{part}}/(2A)$ show scaling

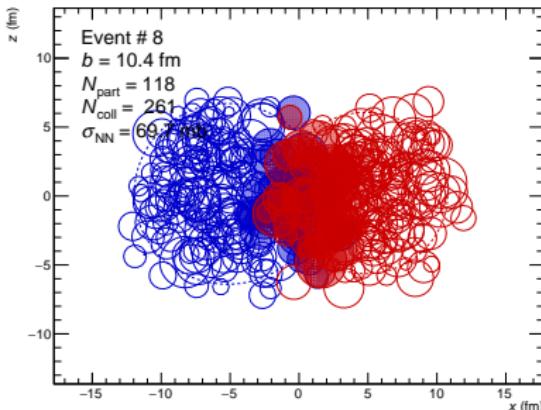
How can that be?
 participants do not know
 “natural centrality”



Glauber and Glauber–Gribov

Glauber:

- Inputs:
 - Charge-distribution (e.g., 3pF or 3pG)
 - Nucleon–nucleon cross-section σ_{NN}
 - Black-disc: $P(b_{\text{NN}}) = \Theta(2r - b_{\text{NN}})$
 - Impact parameter b



- Outputs:

- $N_{\text{part}}, N_{\text{coll}}, \dots$
- Nucleon distribution

Glauber–Gribov

- Colour-state fluctuations
- Fluctuation of σ_{NN} ($\delta\sigma_{\text{NN}}$)

Normal Gribov:

- Sample σ_{NN} *once* per event
- OK for p–A, but tricky for A–A



Individual nucleon fluctuations

- Allow each nucleon to fluctuate in “size”
Simple approach, Angantyr/PYTHIA more evolved
- Calculate σ_{AB} for any two nucleons A and B
- Fix to reproduce $\langle \sigma_{NN} \rangle = \langle \langle \sigma_{AB} \rangle \rangle$
not necessarily $P(\sigma_{NN})$
- Nucleon “sizes” fixed throughout
Frozen colour state
- Based on TGlauberMC

PRC97(2017)054910

Work-in-progress: Apply skepticism here

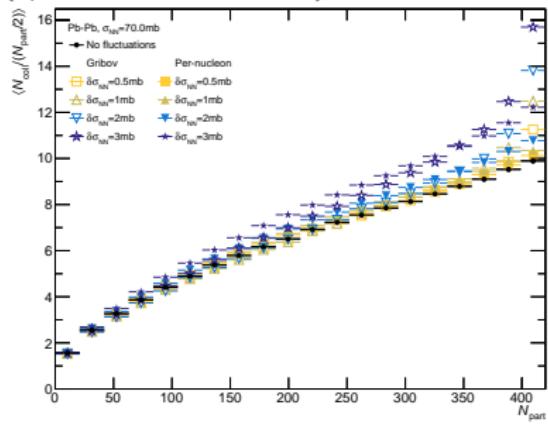


“Up-tick” in AA collisions

Ansatz: Take N_{coll} as proxy for $dN_{\text{ch}}/d\eta$ or total N_{ch}

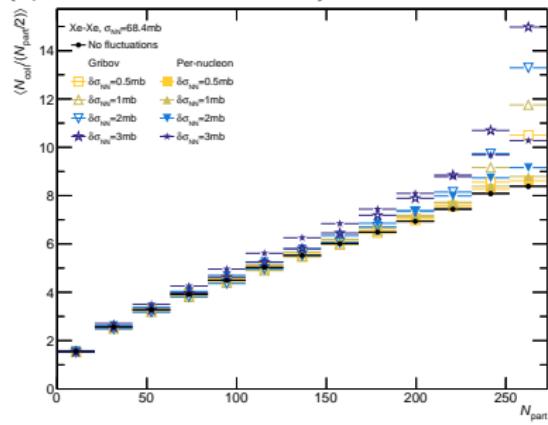
Pb–Pb, $\sigma_{\text{NN}} = 70\text{mb}$

($\sqrt{s_{\text{NN}}} = 5.02 \text{ TeV}$)



Xe–Xe, $\sigma_{\text{NN}} = 68.4\text{mb}$

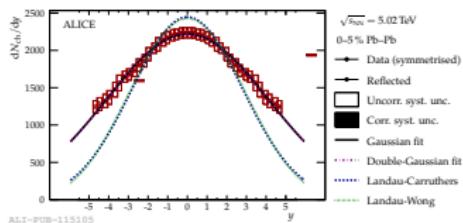
($\sqrt{s_{\text{NN}}} = 5.44 \text{ TeV}$)



- Glauber–Gribov: “up-tick”
 - individual nucleon fluctuation: More smooth increase
 - “Up-tick” possible sign of σ_{NN} fluctuations
- Fluctuations *a la* p–A



Express $dN_{\text{ch}}/d\eta$ in terms of dN_{ch}/dy



PLB772(2017)567-577

- Direct measurement of dN_{ch}/dy : Gaussian in measured region
- Via mean Jacobian: Gaussian in measured region

Fit $dN_{\text{ch}}/d\eta$ to extract σ , effective p_{T}/m

$$\frac{dN_{\text{ch}}}{dy} = \frac{1}{\langle \beta \rangle} \frac{dN_{\text{ch}}}{d\eta}$$

$$y \approx \eta - \frac{\cos \vartheta}{2a^2}$$

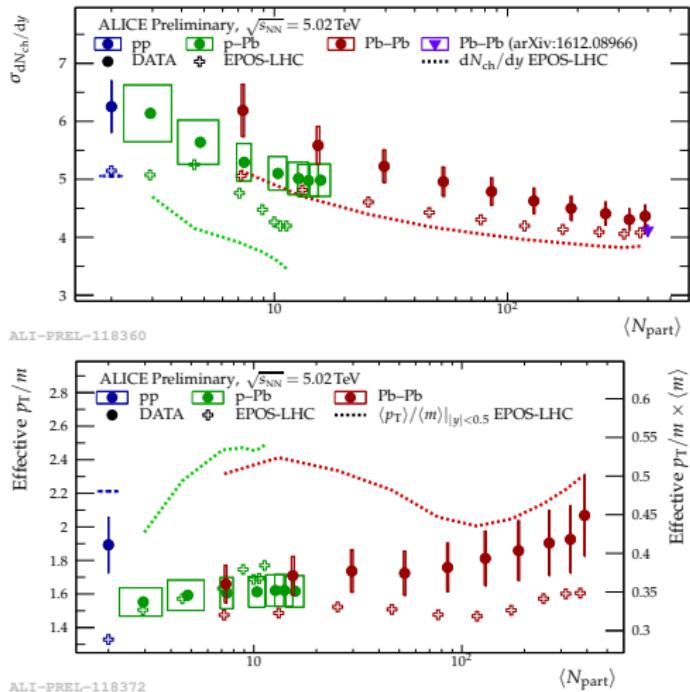
$$\langle \beta \rangle \approx \frac{1}{\sqrt{1 + 1/(a^2 \cosh^2 \eta)}}$$

a : effective p_{T}/m

- pp and Pb-Pb Ansatz:
 $dN_{\text{ch}}/d\eta = \langle \beta \rangle A / (\sqrt{2\pi}\sigma) e^{-y^2/(2\sigma)}$
- p-Pb Ansatz: $A \rightarrow (\alpha y + a)$
 $dN_{\text{ch}}/d\eta = \langle \beta \rangle (\alpha y + A) / (\sqrt{2\pi}\sigma) e^{-y^2/(2\sigma)}$



σ_y and effective p_T/m



- σ decrease
Collimation of production
- Peripheral similar σ to pp
Limiting fragmentation
- Effective p_T/m increase for Pb-Pb consistent with pp



Back-of-the-envelope initial energy density

- Bjorken formula:

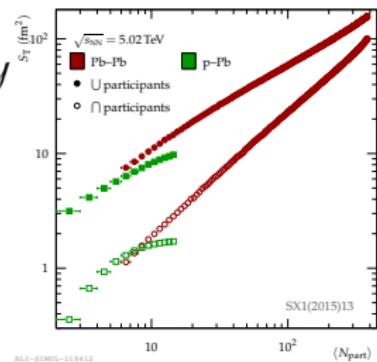
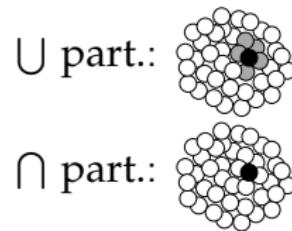
$$\varepsilon_{\text{Bj}} \tau = 1/S_T dE_T/dy$$

- with

$$dE_T/dy \approx 2\langle m_T \rangle dN_{\text{ch}}/dy$$

$$\gtrsim 2\langle m \rangle \sqrt{1 + (p_T/m)^2} dN_{\text{ch}}/dy$$

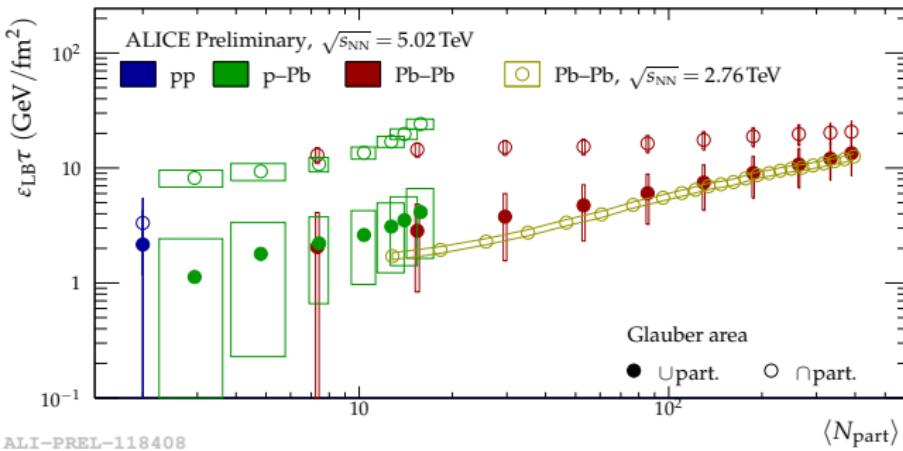
- S_T from Glauber
 - \cup part. Full area
 - \cap part. Overlap



$$\varepsilon_{\text{Bj}} \tau \gtrsim \varepsilon_{\text{LB}} \tau \equiv 1/S_T^{\cup, \cap} 2\sqrt{1 + (p_T/m)^2} dN_{\text{ch}}/dy$$



The lower-bound of ε_{Bj}



PRC94(2016)034903

- Fixed energy density at fixed N_{part}
Except for central p-Pb
- For \cup part, large increase over pp
- If same initial ε in systems, then similar final state effects?



So where are we?

- Lots of results on N_{ch} production
- Models has room for improvements
- From top SPS, fill-up phase-space
- Central AA fluctuations
 - Similar to p–Pb
 - Possibly σ_{NN} fluctuations
- pp, p–Pb, Pb–Pb similar initial ε

N_{ch} production still a challenge



Back-ups

