

Towards the Ultimate Precision in Flavour Physics (16–18 April 2018)

# Standard Model tests in modes with photons

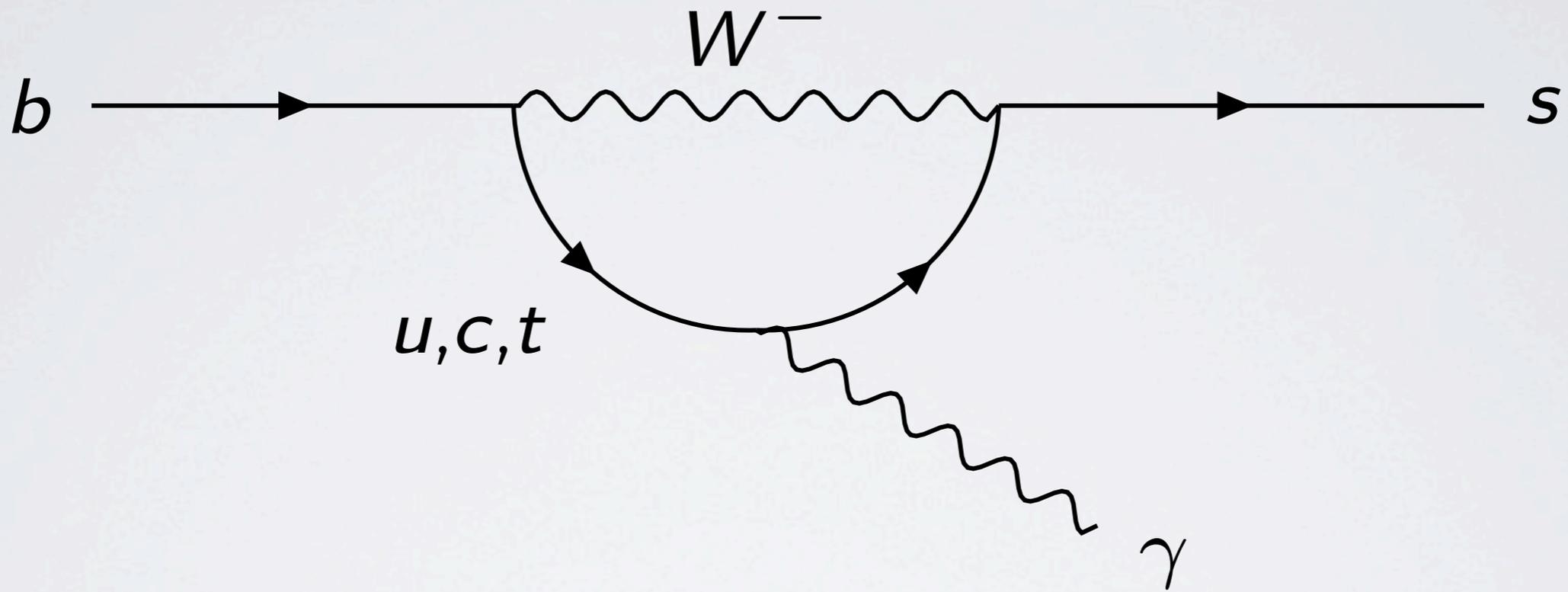
Albert Puig, *on behalf of the LHCb collaboration*  
(*With many thanks to D. Straub*)

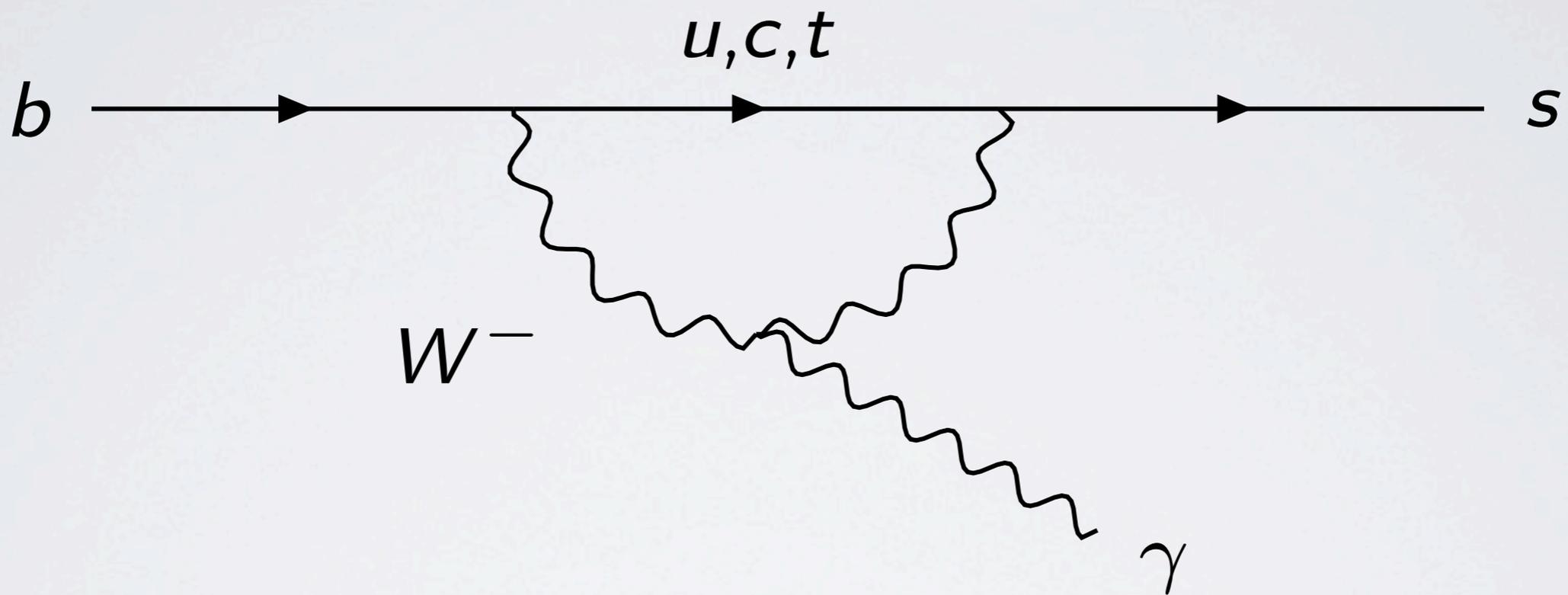


**Universität  
Zürich** <sup>UZH</sup>

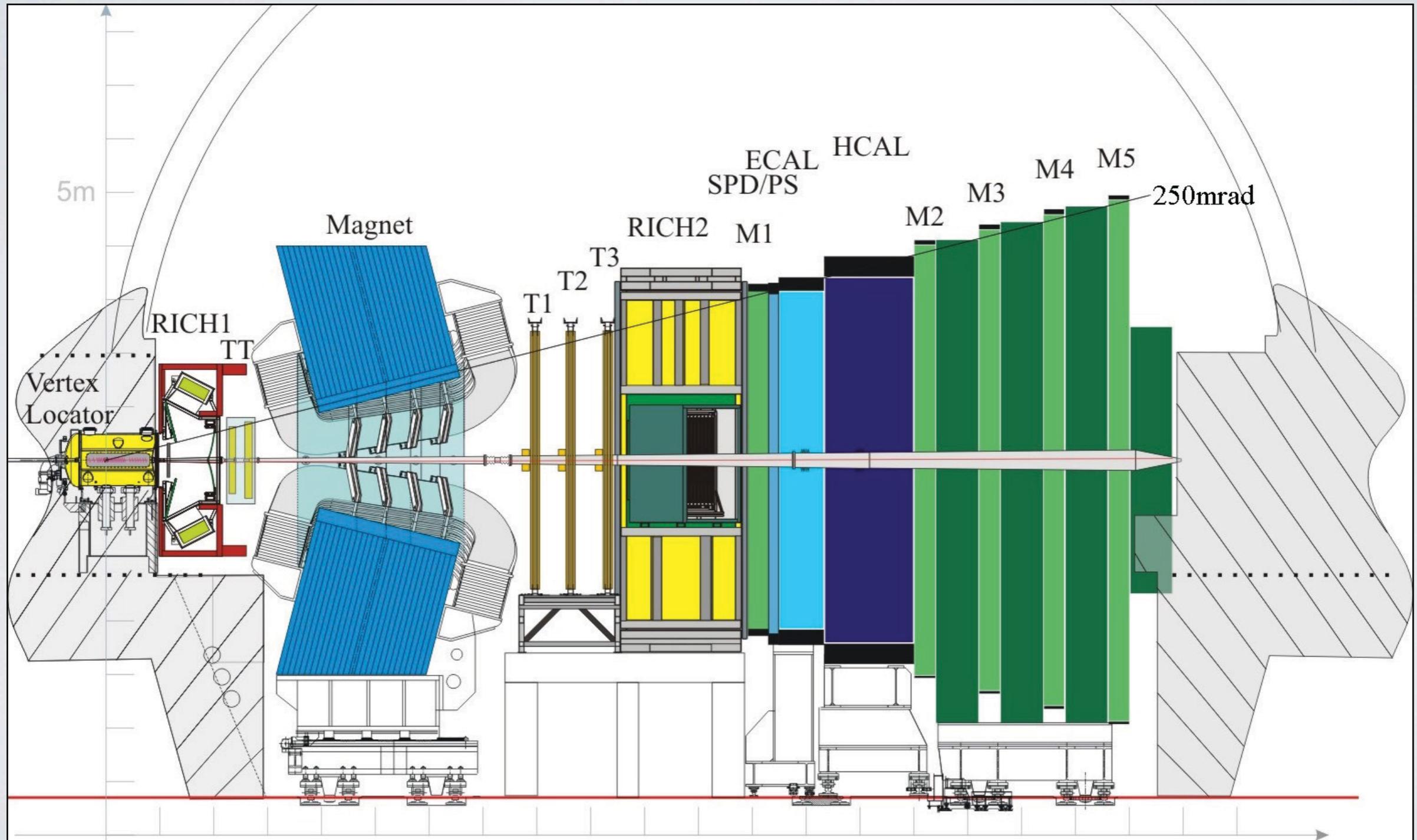


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# The LHCb experiment

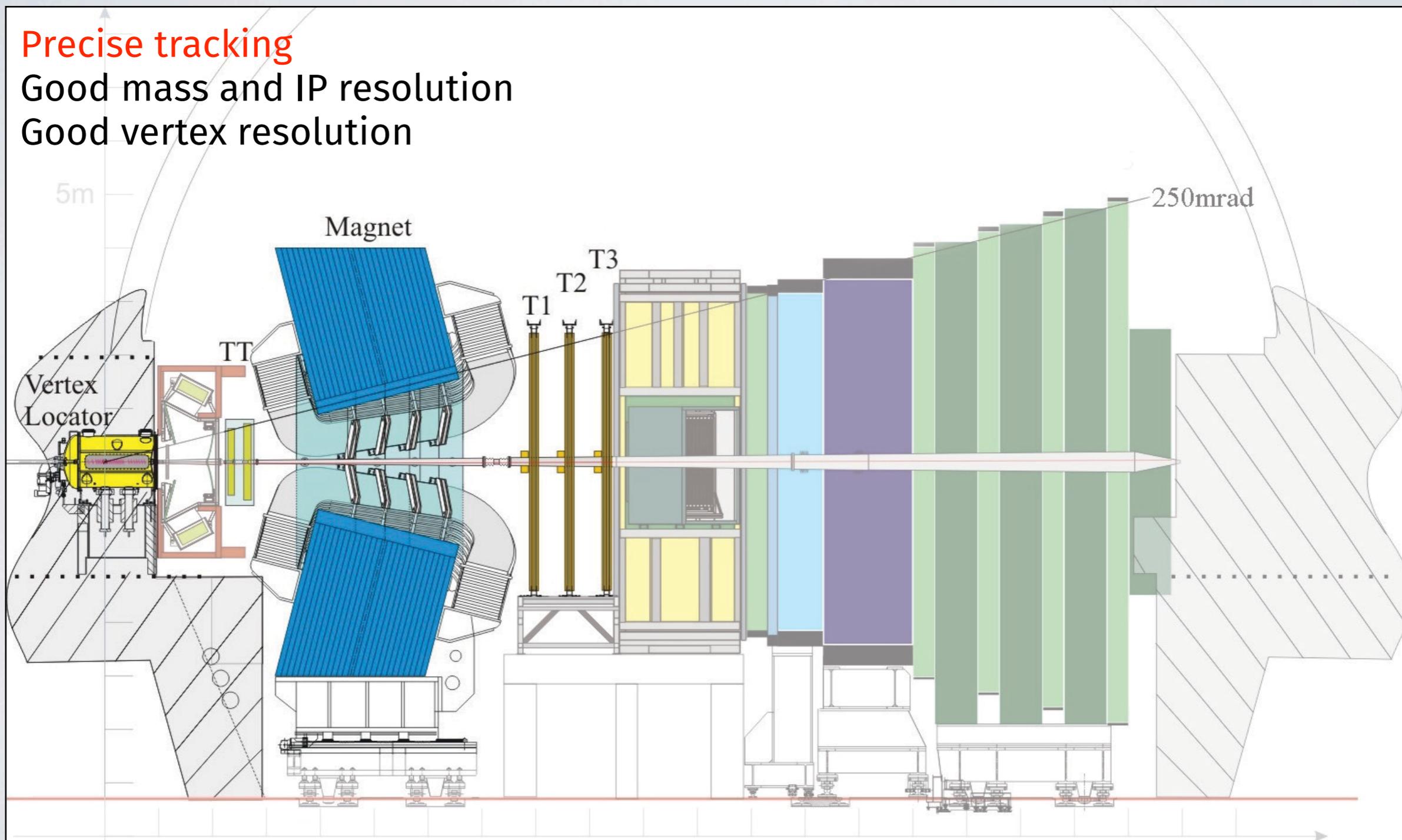


# The LHCb experiment

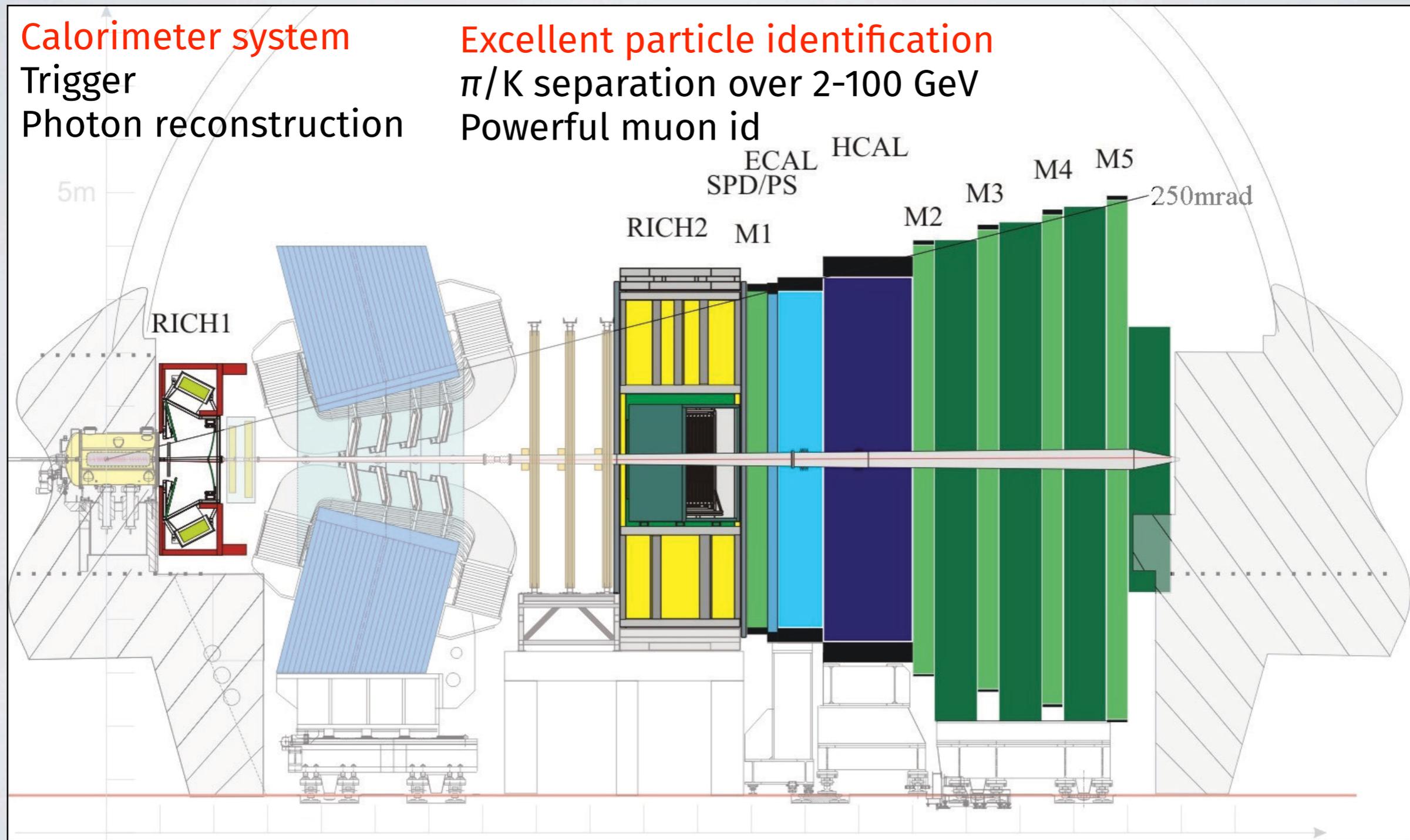
## Precise tracking

Good mass and IP resolution

Good vertex resolution



# The LHCb experiment



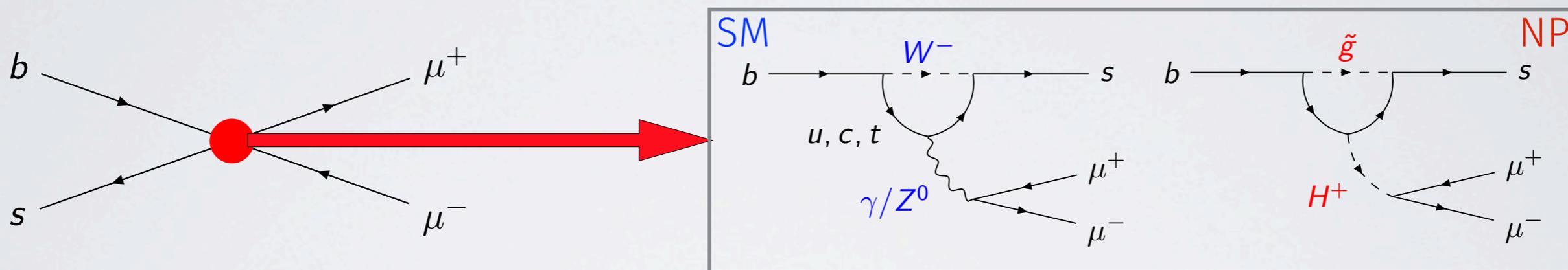
**Calorimeter system**  
Trigger  
Photon reconstruction

**Excellent particle identification**  
 $\pi/K$  separation over 2-100 GeV  
Powerful muon id

ECAL HCAL  
SPD/PS  
M1 M2 M3 M4 M5  
250mrad

# Radiative decays

Rare decays of heavy mesons are FCNC (forbidden at tree level and thus highly suppressed) sensitive to quantum corrections from degrees of freedom at larger scales



Radiative decays are  $b \rightarrow sy$  FCNC

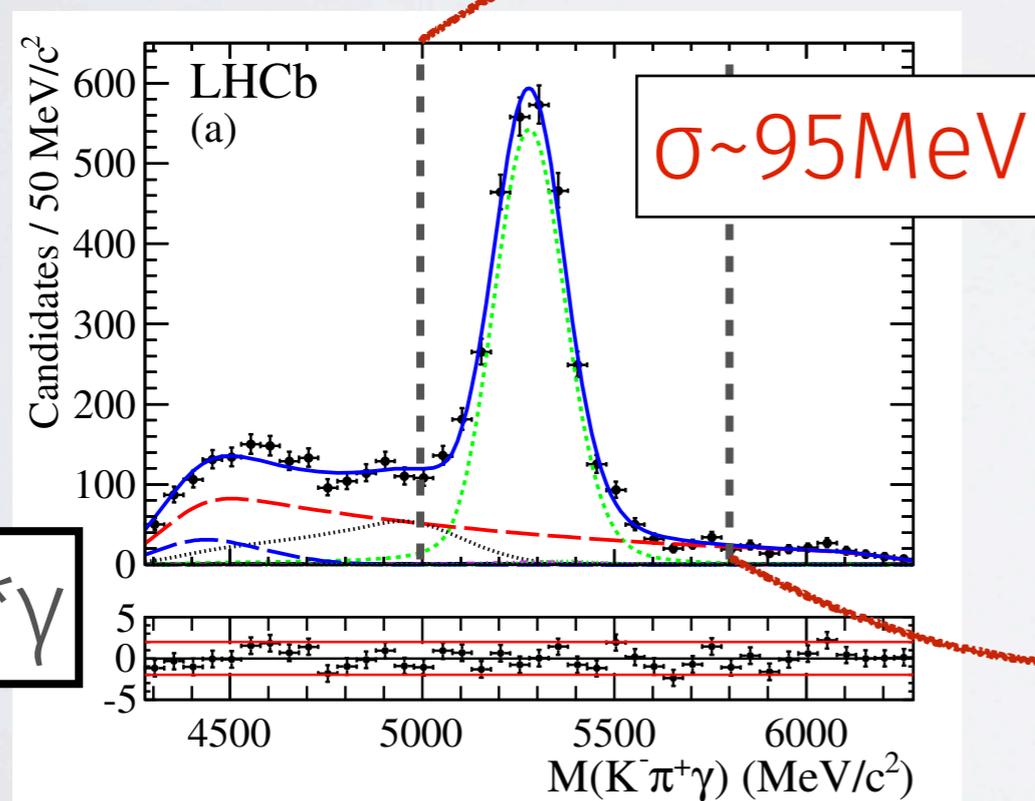
- Inclusive decays are clean, but hard experimentally
- Exclusive decays have large theoretical uncertainties, so need to find form-factor free observables (CP and isospin asymmetries)
- **Null test of the SM: the photon polarisation**

# Challenges for radiative decays

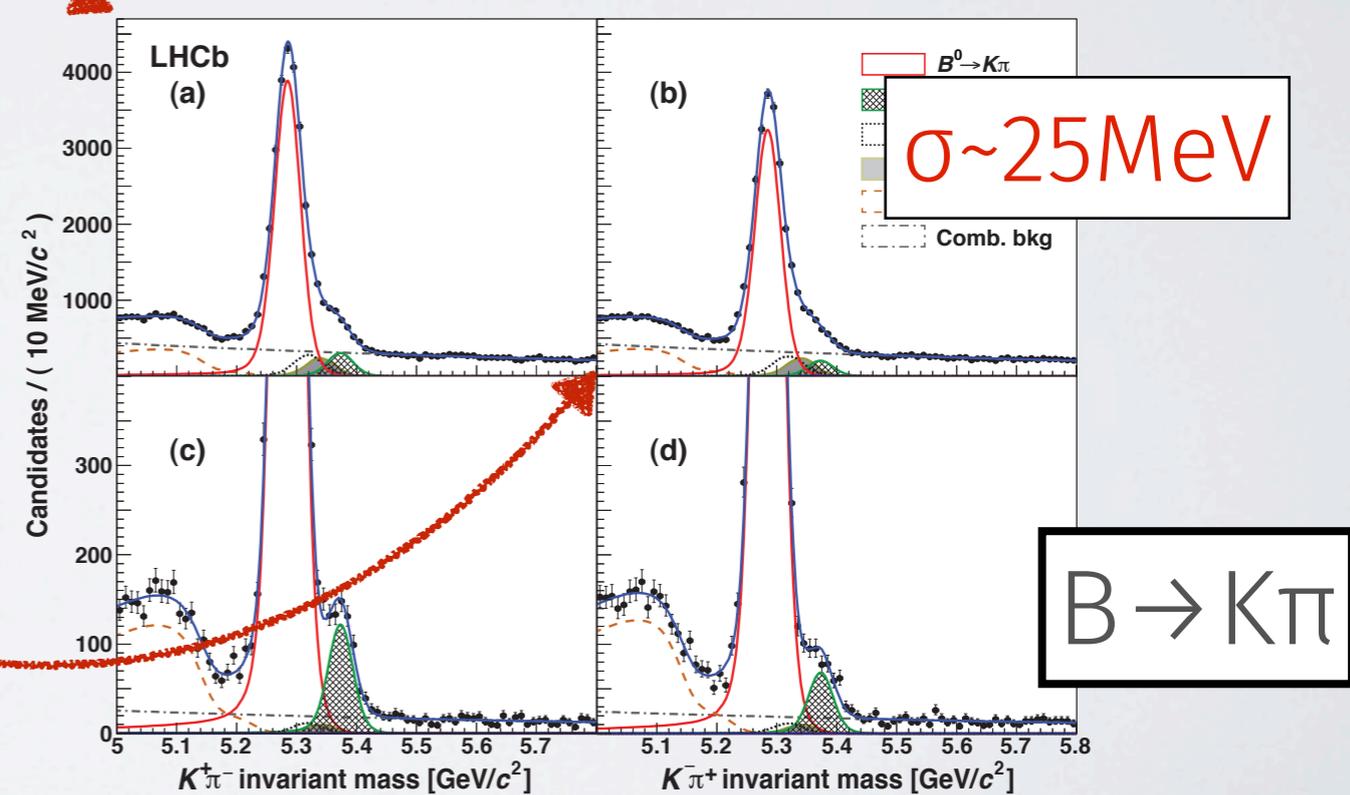
Distinct experimental signature with a high  $E_T$  photon

- Large levels of background are expected in a  $pp$  machine

Mass resolution dominated by photon reconstruction



[Nucl. Phys. B 867 (2012)]



[PRL 110 (2013) 221601]

# Photon polarisation in the SM

The  $b \rightarrow s\gamma$  process has a particular structure in the SM

$$\bar{s}\Gamma(b \rightarrow s\gamma)_\mu b = \frac{e}{(4\pi)^2} \frac{g^2}{2M_W^2} V_{ts}^* V_{tb} F_2 \bar{s} i \sigma_{\mu\nu} q^\nu \left( m_b \frac{1 + \gamma_5}{2} + m_s \frac{1 - \gamma_5}{2} \right) b$$

The  $W$  boson couples only left-handedly. This, combined with the chiral structure of the  $b \rightarrow s\gamma$  process causes the photons to be (almost completely) circularly polarised

- The requirement of a chirality flip leads to left-handed photon dominance

Photon polarisation never been measured with precision

# Photon polarisation in the SM

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$$\begin{array}{l} b \rightarrow s\gamma_L \\ \bar{b} \rightarrow \bar{s}\gamma_R \end{array}$$

- The requirement of a chirality flip leads to left-handed photon dominance

Photon polarisation never been measured with precision

# Describing FCNC processes

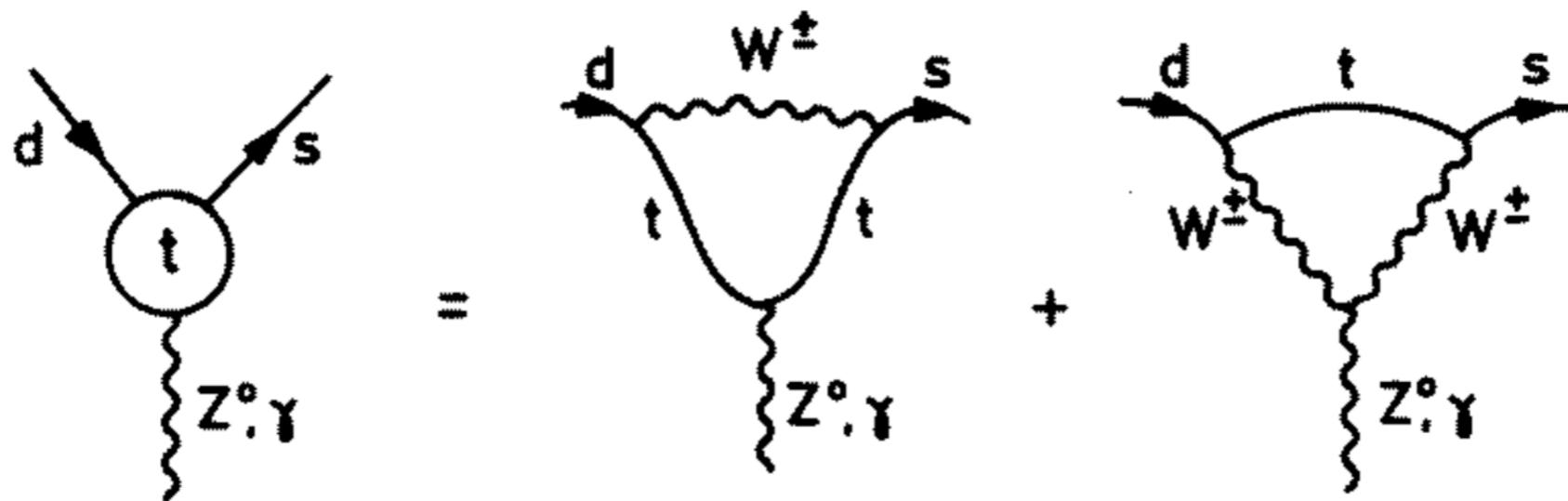
FCNC are described by an effective Hamiltonian in the form of an Operator Product Expansion, which allows to identify the types of operators ( $O_i$ ) that enter in each transition, along with their corresponding Wilson coefficients ( $C_i$ )

$$\mathcal{H}_{\text{eff}} = -\frac{4G_F}{\sqrt{2}} V_{tb} V_{ts}^* \sum_i \left\{ \underbrace{C_i O_i}_{\text{left-handed}} + \underbrace{C'_i O'_i}_{\text{right-handed (suppressed in the SM)}} \right\} + \sum_i \underbrace{\frac{C_i^{\text{NP}}}{\Lambda^2} O_i^{\text{NP}}}_{\text{new physics}}$$

# Describing FCNC processes

Photon polarization mainly concerned with

$$O_{7\gamma} \sim m_b \bar{s}_L \sigma_{\mu\nu} b_R F^{\mu\nu}$$



[Buras, hep-ph/9806471]

FCNC  
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$\mathcal{H}_{\text{eff}}$

form  
fy

$O_i^{\text{NP}}$   
physics

# $b \rightarrow s\gamma$ in practice

$O_{1\dots 6,8}$  also enter as non factorisable contributions

$$C_7 = C_7^{\text{eff}} + \Delta C_7$$

$$C_7^{\text{eff,SM}}(\mu = m_b) = -0.2915$$

$$C_7^{\prime,SM} = \frac{m_s}{m_b} C_7^{SM}$$

	$B^0 \rightarrow K^*\gamma$	$B^+ \rightarrow K^*\gamma$	$B_s \rightarrow \phi\gamma$
Vertex corrections	$-(7.8 \pm 1.0) - (1.1 \pm 0.3)i$		
Spectator scattering $Q_{1-6}$	$-0.7 - 1.3i$	$-0.7 - 1.3i$	$-0.7 - 1.7i$
Spectator scattering $Q_8$	$-0.3$	$-0.3$	$-0.4$
Weak annihilation	$-0.4$	$+0.9$	$-0.5$

$$\Delta C_7 = \sum_{l=1\dots 6,8} C_l \frac{\langle O_l \rangle}{\langle O_7 \rangle}$$

# $b \rightarrow s\gamma$ in practice

$O_{1\dots 6,8}$  also enter as non factorisable contributions

Remaining effects estimated to be  $<1.5\%$  [PRD 75 (2007) 054004, JHEP 09 (2010)089, PLB 664 (2008)174–179], but need to cross check assumptions on  $\Delta C_7$  by measuring several hadronic systems

$C_7^{\text{eff},S}$

	$B^0 \rightarrow K^*\gamma$	$B^+ \rightarrow K^*\gamma$	$B_s \rightarrow \phi\gamma$
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# Measuring $C_7^{(')}$

Inclusive branching fraction measurements

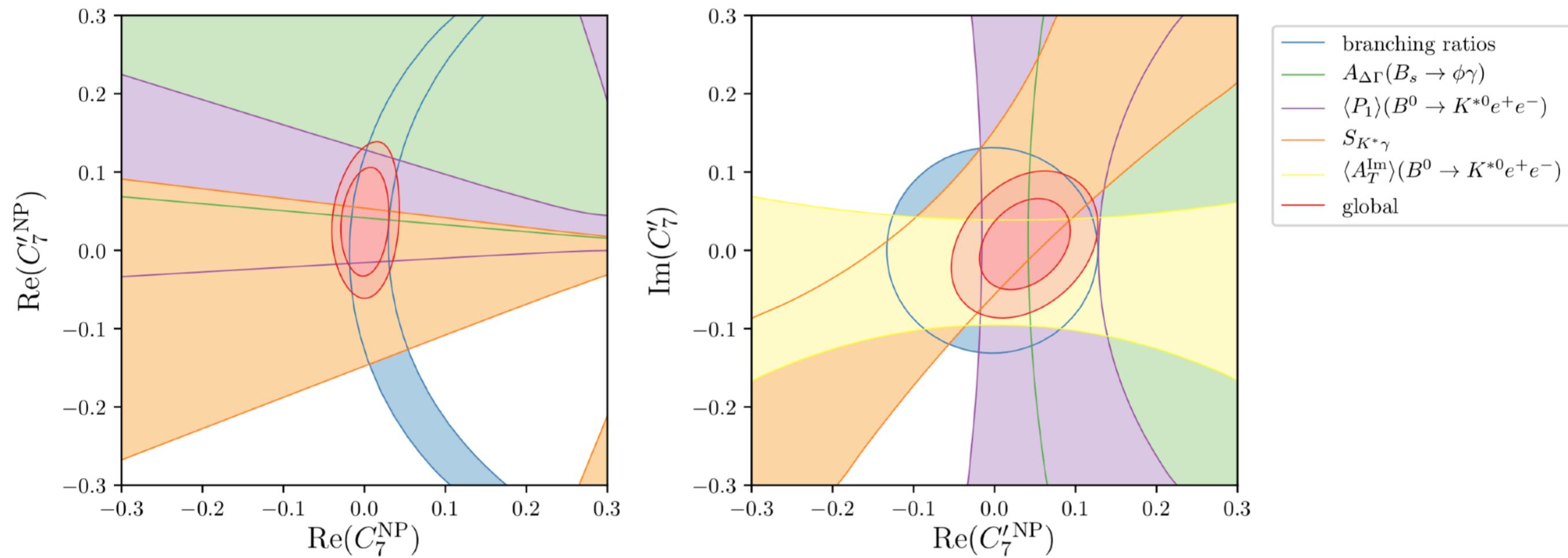
Time-dependent analyses of  $B_{(s)} \rightarrow f^{CP} \gamma$ , e.g.,  $B_s \rightarrow \varphi \gamma$  and  $B^0 \rightarrow K_S \pi^0 \gamma$

Angular distribution of radiative decays with 3 charged tracks in the final state, e.g.,  $B \rightarrow K \pi \pi \gamma$

$b$ -baryons:  $\Lambda_b \rightarrow \Lambda^{(*)} \gamma$ ,  $\Xi_b \rightarrow \Xi^{(*)} \gamma$

Transverse asymmetry in  $B^0 \rightarrow K^* l^+ l^-$

# Current status



# Inclusive BR measurement

$$\text{BR}(b \rightarrow X_{s(d)} \gamma) \propto |C_7^{\text{eff}}|^2 + |C_7'|^2$$

- Very precisely measured at the B factories
- Very precise theory prediction

$$\text{BR}(B \rightarrow X_s \gamma)_{E_\gamma > 1.6 \text{ GeV}}^{\text{SM}} = (3.36 \pm 0.23) \times 10^{-4} \quad [\text{PRL 114 221801 (2015)}]$$

$$\text{BR}(B \rightarrow X_s \gamma)_{E_\gamma > 1.6 \text{ GeV}}^{\text{exp}} = (3.32 \pm 0.15) \times 10^{-4} \quad [\text{EPJC77 (2017) 895}]$$

Excellent theory/experiment prediction

- Experimental improvements could come from Belle II, but theory limitations

# Time-dependent CP analyses

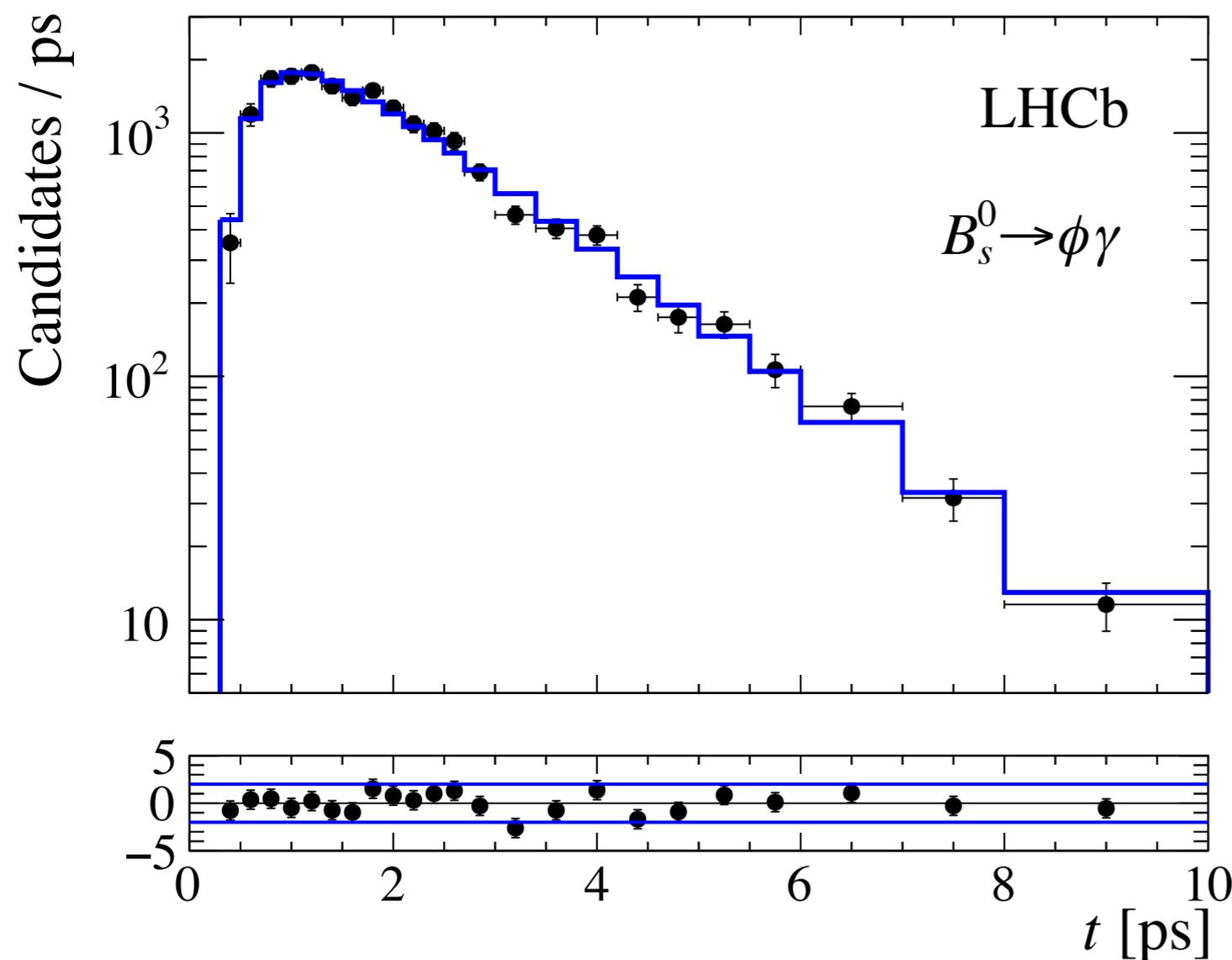
$$\Gamma(B_q(\bar{B}_q) \rightarrow f_{CP}\gamma)(t) \sim e^{-\Gamma_q t} \left[ \cosh\left(\frac{\Delta\Gamma_q}{2}\right) - \mathcal{A}^\Delta \sinh\left(\frac{\Delta\Gamma_q}{2}\right) \pm \mathcal{C} \cos(\Delta m_q t) \mp \mathcal{S} \sin(\Delta m_q t) \right]$$

Defining  **$\tan\xi = |\mathbf{C}_7'/\mathbf{C}_7|$** , both  $S$  and  $A^\Delta$  are proportional to  $\sin(2\xi)$

- These observables measure the ratio of amplitudes with left- and right-handed photons
- Null test for  $\xi \rightarrow 0$ , but in case of sizeable values due to NP, small dependence on strong phases

# $B_s \rightarrow \phi \gamma$ lifetime

Without distinguishing the flavour, LHCb has measured  $A^\Delta$  through the fit of the effective lifetime of the  $B_s$



$$A^\Delta = -0.98^{+0.46}_{-0.52} \quad +0.23_{-0.20}$$

Consistent with SM at  $2\sigma$

# $S(B^0 \rightarrow K^{*0} \gamma)$

Measured at the  $B$ -factories

$$\begin{aligned} S_{K^* \gamma} &= -0.03 \pm 0.29 \text{ (stat)} \pm 0.03 \text{ (syst)}, \\ C_{K^* \gamma} &= -0.14 \pm 0.16 \text{ (stat)} \pm 0.03 \text{ (syst)}, \end{aligned}$$

[BaBar, PRD78 (2008) 071102]

$$\begin{aligned} S_{K_S^0 \pi^0 \gamma} &= -0.10 \pm 0.31 \text{ (stat)} \pm 0.07 \text{ (syst)}, \\ \mathcal{A}_{K_S^0 \pi^0 \gamma} &= -0.20 \pm 0.20 \text{ (stat)} \pm 0.06 \text{ (syst)}, \end{aligned}$$

[Belle, PRD 74 (2006) 111104]

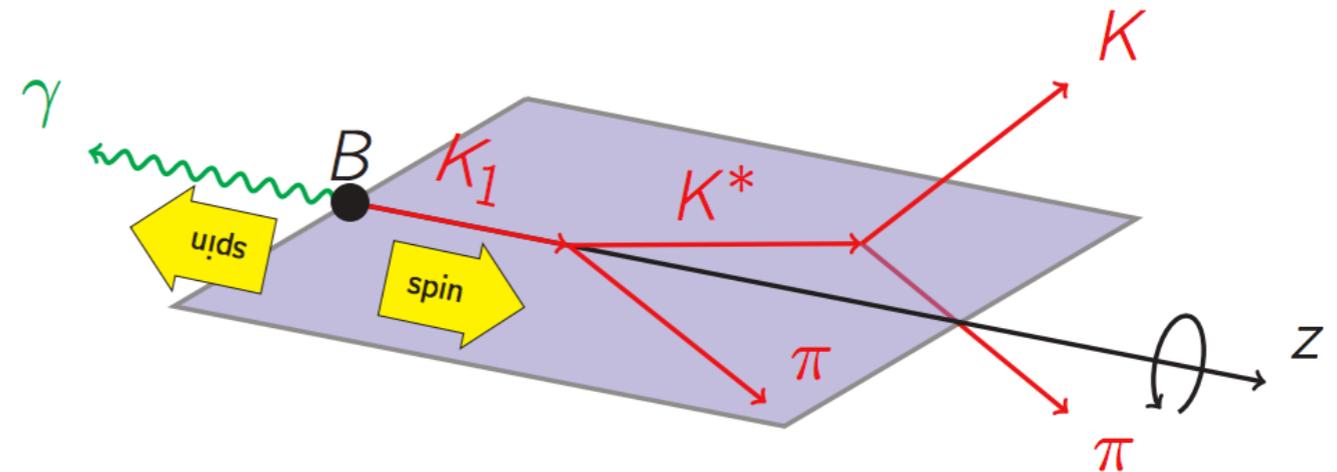
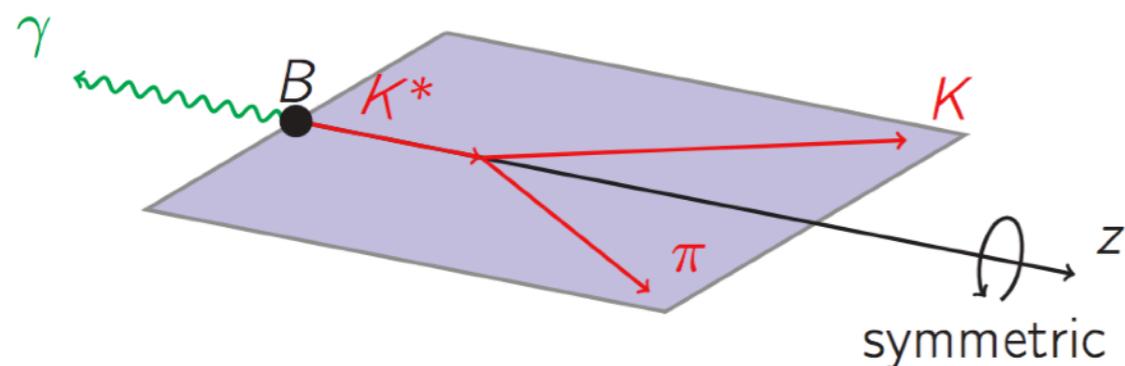
Expect 3% precision at Belle II

# $B^+ \rightarrow K\pi\pi\gamma$ angular analysis

Three tracks is the minimum needed to build a  $P$ -odd triple product proportional to the photon polarization using the final state momenta

$$\vec{p}_\gamma \cdot (\vec{p}_1 \times \vec{p}_2)$$

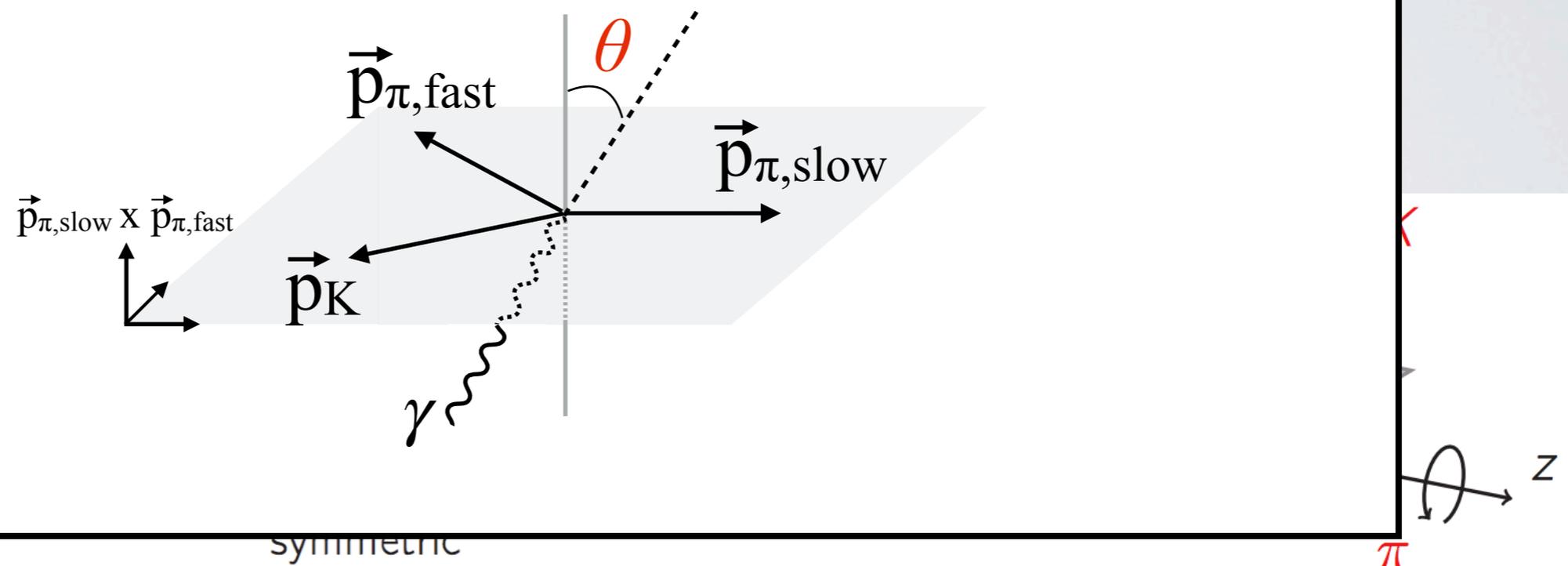
[From A. Tayduganov]



# $B^+ \rightarrow K\pi\pi\gamma$ angular analysis

Three  
produ  
final s

The photon polarisation can be inferred from the polarisation of the  $K$  resonance



# $B^+ \rightarrow K\pi\pi\gamma$ angular analysis

For a given  $K_{\text{resonance}} \rightarrow K\pi\pi$ , the decay amplitude is a function of the Dalitz variables and the photon polarisation

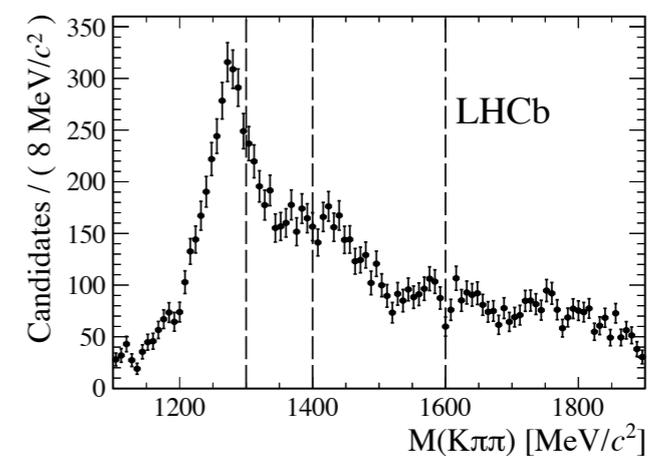
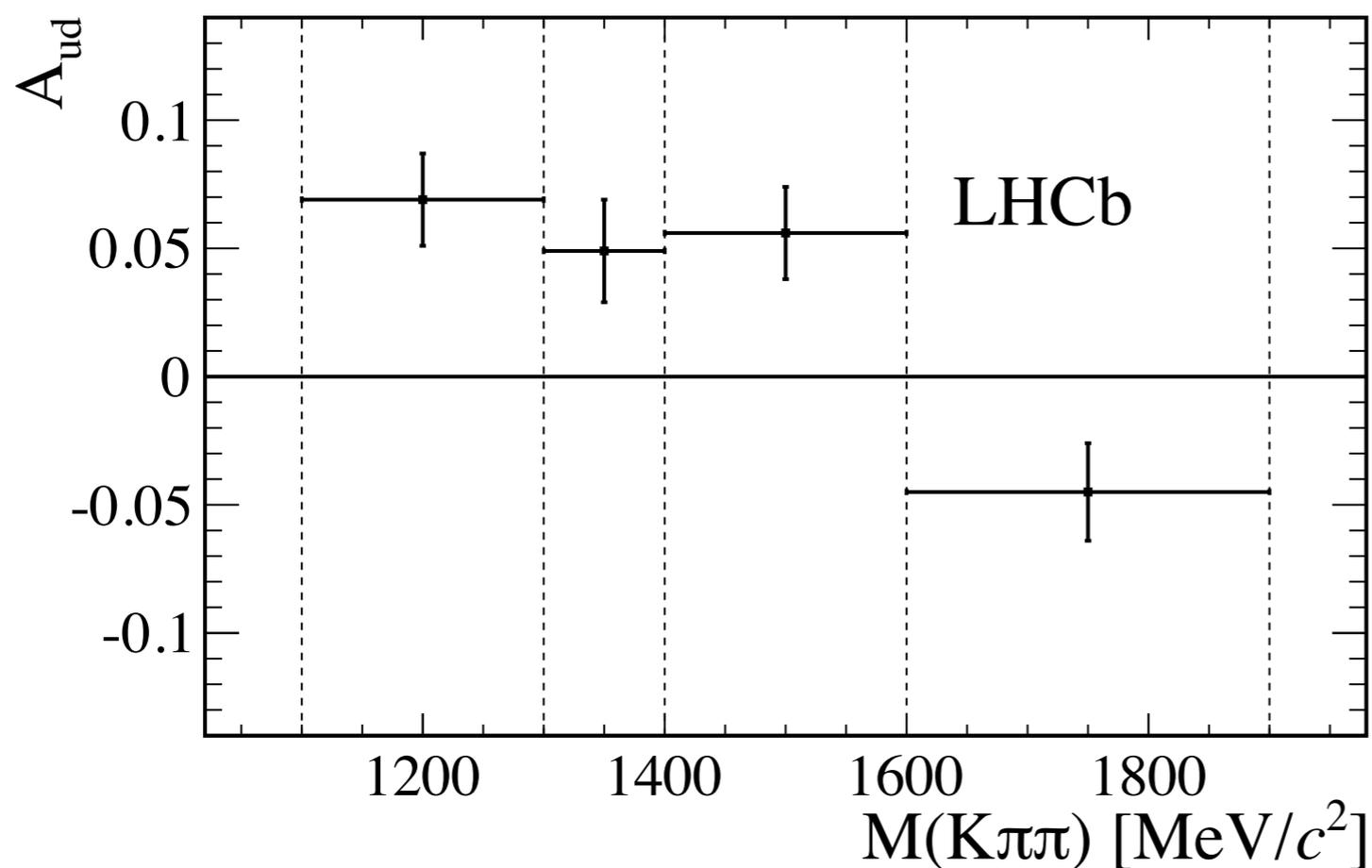
The  $K_{\text{resonance}}$  spectrum is very complex, so LHCb studied the up-down asymmetry to determine if the photon is polarised or not

$$\frac{d\Gamma(B^+ \rightarrow K_{\text{res}} \rightarrow K^+\pi^-\pi^+\gamma)}{ds ds_{13} ds_{23} d\cos\theta} \propto \sum_{j=\text{even}} a_j(s_{13}, s_{23}) \cos^j \theta + \text{Pol}_\gamma \sum_{j=\text{odd}} a_j(s_{13}, s_{23}) \cos^j \theta$$

$$\mathcal{A}_{\text{UD}} \equiv \frac{\int_0^1 d\cos\theta \frac{d\Gamma}{d\cos\theta} - \int_{-1}^0 d\cos\theta \frac{d\Gamma}{d\cos\theta}}{\int_{-1}^1 d\cos\theta \frac{d\Gamma}{d\cos\theta}} = C\lambda_\gamma$$

# $B^+ \rightarrow K\pi\pi$ angular analysis

**Determination of non-zero polarization at  $5.2\sigma$** , but theory input and full amplitude analysis are needed to determine the exact value of the polarisation



# $B \rightarrow K\pi\pi\gamma$ angular analysis

Without Dalitz information it is not possible to extract the value of the photon polarisation  $\lambda$

Even with this information, the photon polarisation parameter  $\lambda$  can be expressed as  $\cos(2\xi) \sim 1 - 2\xi^2 + O(\xi^4)$

- Require higher relative precision wrt to time-dependent analyses and rich hadronic system plagues measurement with hadronic uncertainties
- Complementary dependence

# $B \rightarrow K\pi\pi\gamma$ amplitude analysis

**Idea:** extract  $\lambda$  directly from an amplitude fit to the  $B \rightarrow K\pi\pi\gamma$  system

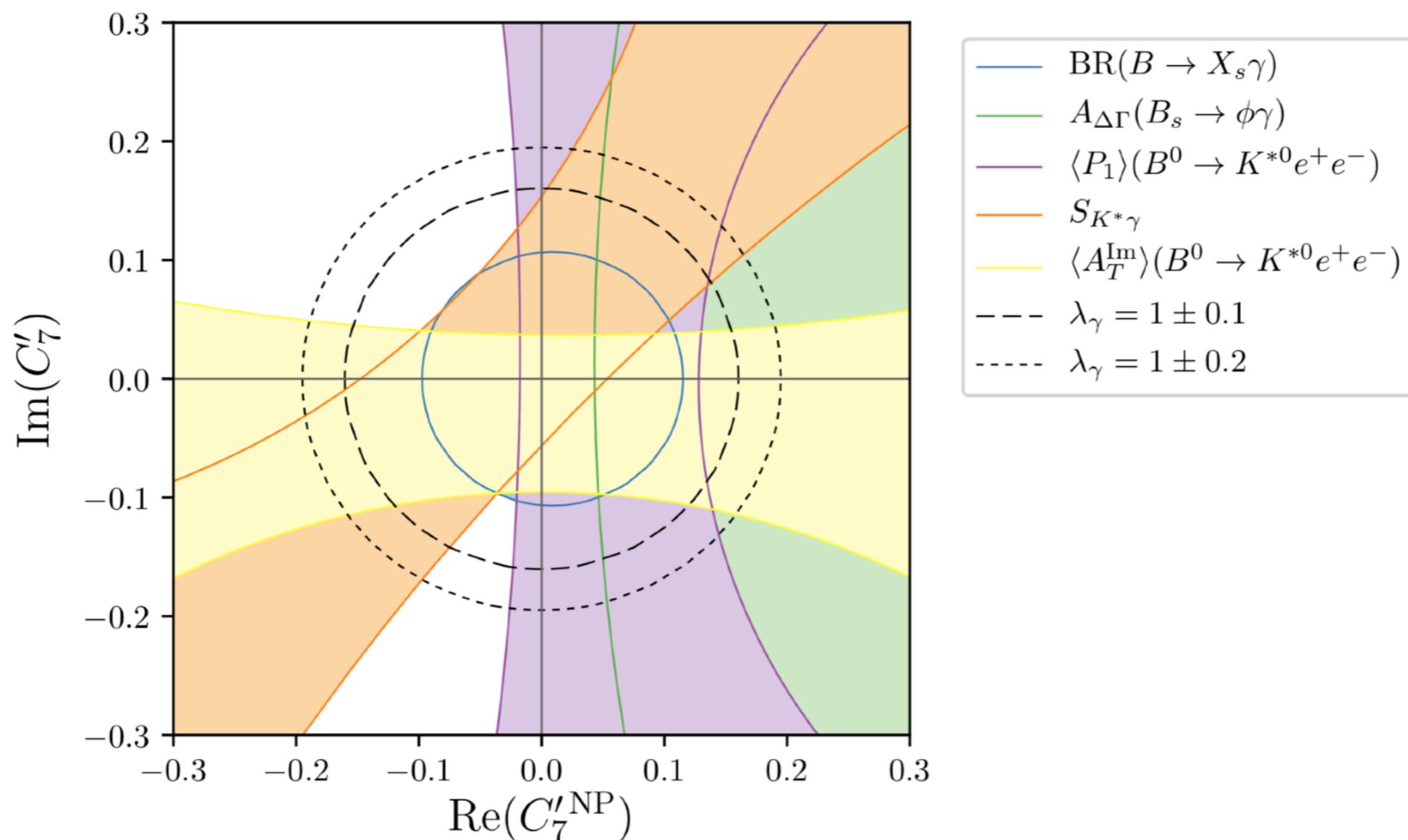
- Keep the same requirements wrt to precision, but drop the hadronic uncertainties

Preliminary studies [Bellée et al, in preparation] show a statistical precision of  $\sim 5\%$  with Run 1 statistics, systematics still unclear

- Potentially interesting constraints for model building

# $B \rightarrow K\pi\pi\gamma$ amplitude analysis

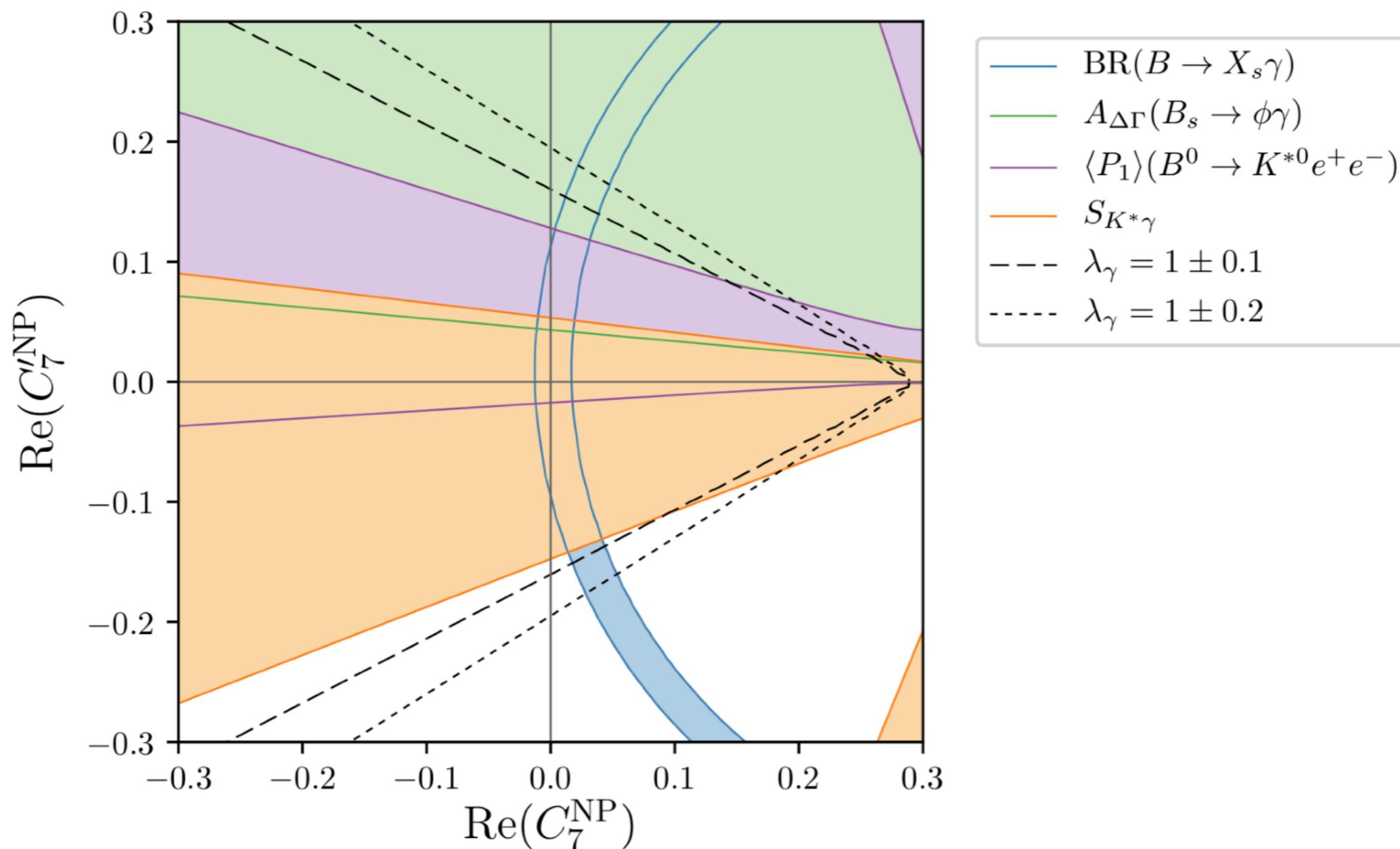
update of Paul and Straub 1608.02556 see also Becirevic et al. 1206.1502 Descotes-Genon et al. 1104.3342



assuming  $C_7$  to be SM-like; neglecting theory uncertainties and  $\Delta C_7$  in  $\lambda_\gamma$

[D. Straub @  $B \rightarrow K\pi\pi\gamma$  workshop]

# $B \rightarrow K\pi\pi\gamma$ amplitude analysis



assuming  $\text{Im}(C_7^{(\prime)}) = 0$ ; neglecting theory uncertainties and  $\Delta C_7$  in  $\lambda_\gamma$

[D. Straub @  $B \rightarrow K\pi\pi\gamma$  workshop]

# b-baryon angular analyses

Weak radiative decays of  $b$ -baryons have not yet been observed, but are sensitive to the photon polarisation through their angular distributions

$$\frac{d\Gamma}{d\cos\theta_\gamma} \propto 1 - \alpha_\gamma P_{\Lambda_b^0} \cos\theta_\gamma$$
$$\frac{d\Gamma}{d\cos\theta_p} \propto 1 - \alpha_\gamma \alpha_{p,1/2} \cos\theta_p$$

Since  $\alpha_\gamma$  is  $\lambda_\gamma$  at LO, their dependence on  $\xi$  is the same, and thus high precision is required

- Interesting due to different form factors

# And $B^0 \rightarrow K^{*0} e^+ e^-$

Angular analysis at very low  $m(e^+e^-)$ , sensitive to photon polarisation, using simplified distribution with 4 observables

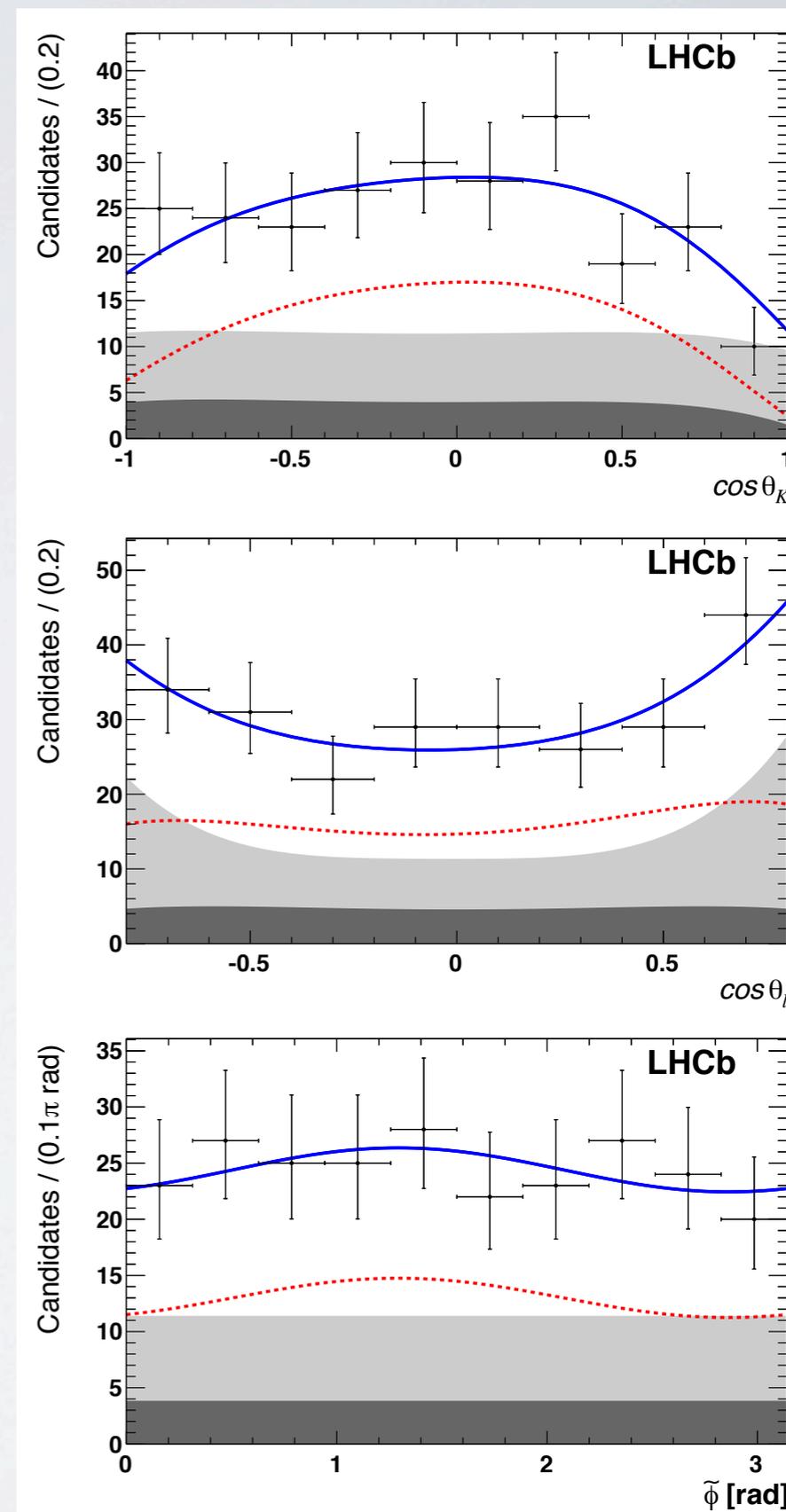
- $A_T^{(2)}$  and  $A_T^{\text{Im}}$  only depend on helicity amplitudes with transverse  $K^*$  (so no pollution from NP in  $O_9$  and  $O_{10}$ )
- Dependence on  $C_7'$  as  $\sin(2\xi)$

$$F_L = 0.16 \pm 0.06 \pm 0.03$$

$$A_T^{\text{Re}} = 0.10 \pm 0.18 \pm 0.05$$

$$A_T^{(2)} = -0.23 \pm 0.23 \pm 0.05$$

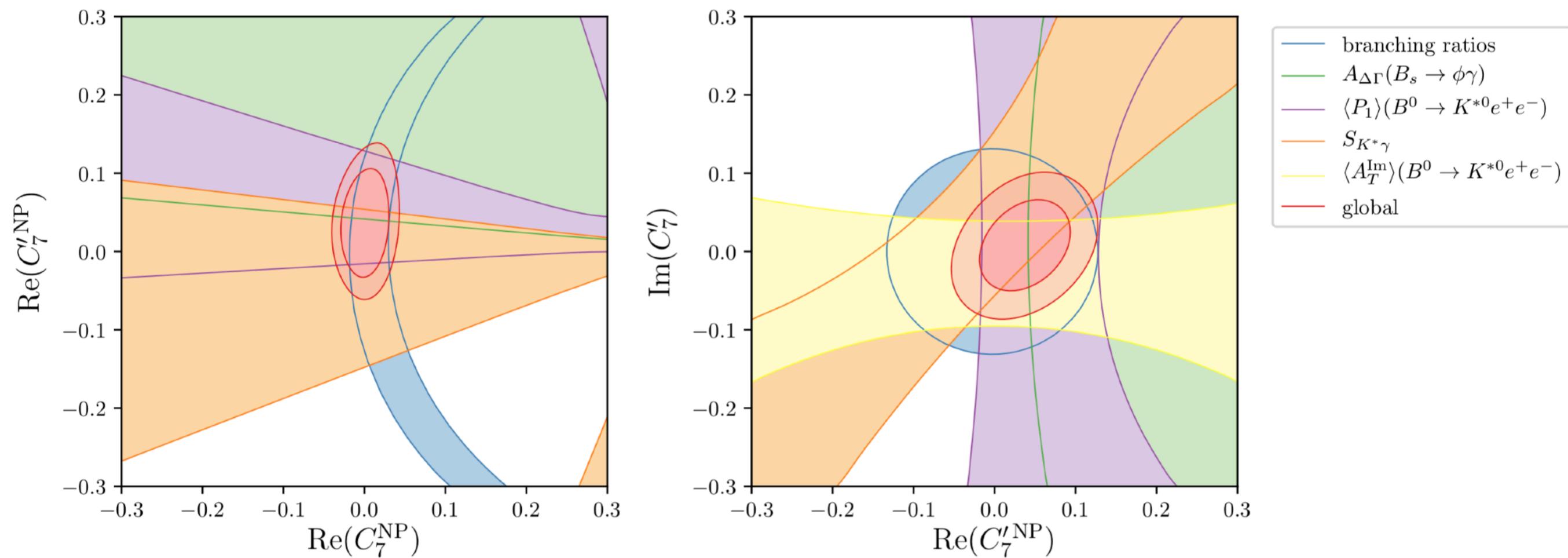
$$A_T^{\text{Im}} = 0.14 \pm 0.22 \pm 0.05$$



# Summary of measurements

Observable	SM prediction		Measurement	
$10^4 \times \text{BR}(B \rightarrow X_s \gamma)_{E_\gamma > 1.6 \text{ GeV}}$	$3.36 \pm 0.23$	[16]	$3.27 \pm 0.14$	[46]
$10^5 \times \text{BR}(B^+ \rightarrow K^* \gamma)$	$3.43 \pm 0.84$		$4.21 \pm 0.18$	[19]
$10^5 \times \text{BR}(B^0 \rightarrow K^* \gamma)$	$3.48 \pm 0.81$		$4.33 \pm 0.15$	[19]
$10^5 \times \overline{\text{BR}}(B_s \rightarrow \phi \gamma)$	$4.31 \pm 0.86$		$3.5 \pm 0.4$	[47, 48]
$S(B^0 \rightarrow K^* \gamma)$	$-0.023 \pm 0.015$		$-0.16 \pm 0.22$	[19]
$A_{\text{CP}}(B^0 \rightarrow K^* \gamma)$	$0.003 \pm 0.001$		$-0.002 \pm 0.015$	[19]
$A_{\Delta\Gamma}(B_s \rightarrow \phi \gamma)$	$0.031 \pm 0.021$		$-1.0 \pm 0.5$	[4]
$\langle P_1 \rangle(B^0 \rightarrow K^* e^+ e^-)_{[0.002, 1.12]}$	$0.04 \pm 0.02$		$-0.23 \pm 0.24$	[49]
$\langle A_T^{\text{Im}} \rangle(B^0 \rightarrow K^* e^+ e^-)_{[0.002, 1.12]}$	$0.0003 \pm 0.0002$		$0.14 \pm 0.23$	[49]

# Current summary (again)



# Conclusions

Currently, strong competition in exclusive  $B \rightarrow V\gamma$  and  $B \rightarrow Vee$ , but different dependence on WCs

Addition of new modes and approaches will add even further complementary dependences

- Some of these new measurements can be extremely competitive!

“In view of hadronic uncertainties, using many different hadronic systems is important to corroborate constraints (or tensions!)” (D. Straub)

# Conclusions

Currently, strong competition in exclusive  $B \rightarrow W\gamma$  and  $B \rightarrow W e e$ ,

but With data from LHCb Upgrade + Belle II, the constraints in global fits will become quite narrow, and tensions coming from treatment of hadronic effects will be highlighted, even if  $C_7$  is SM. This will be very useful in the study of anomalies in  $b \rightarrow s l l$  decays

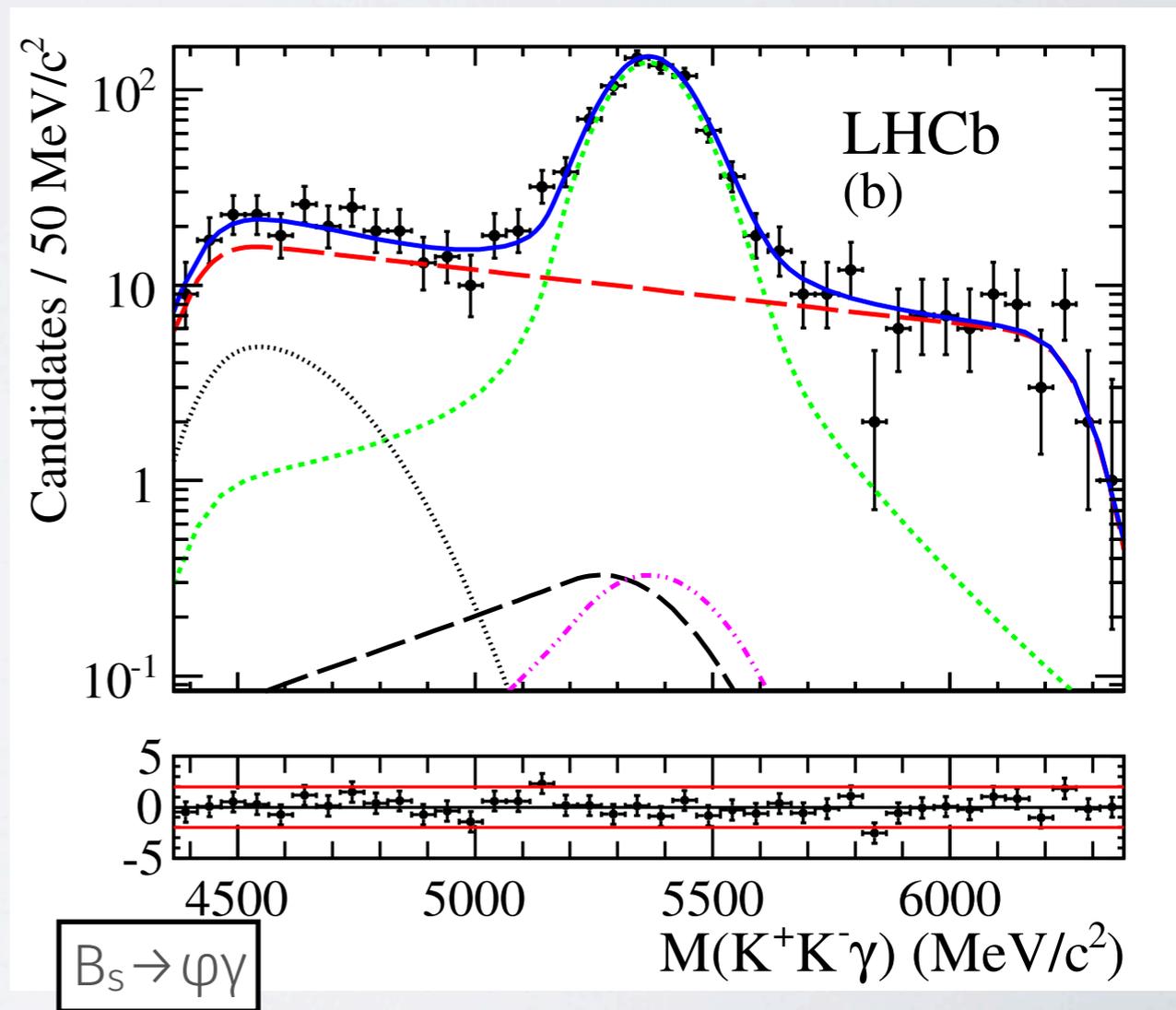
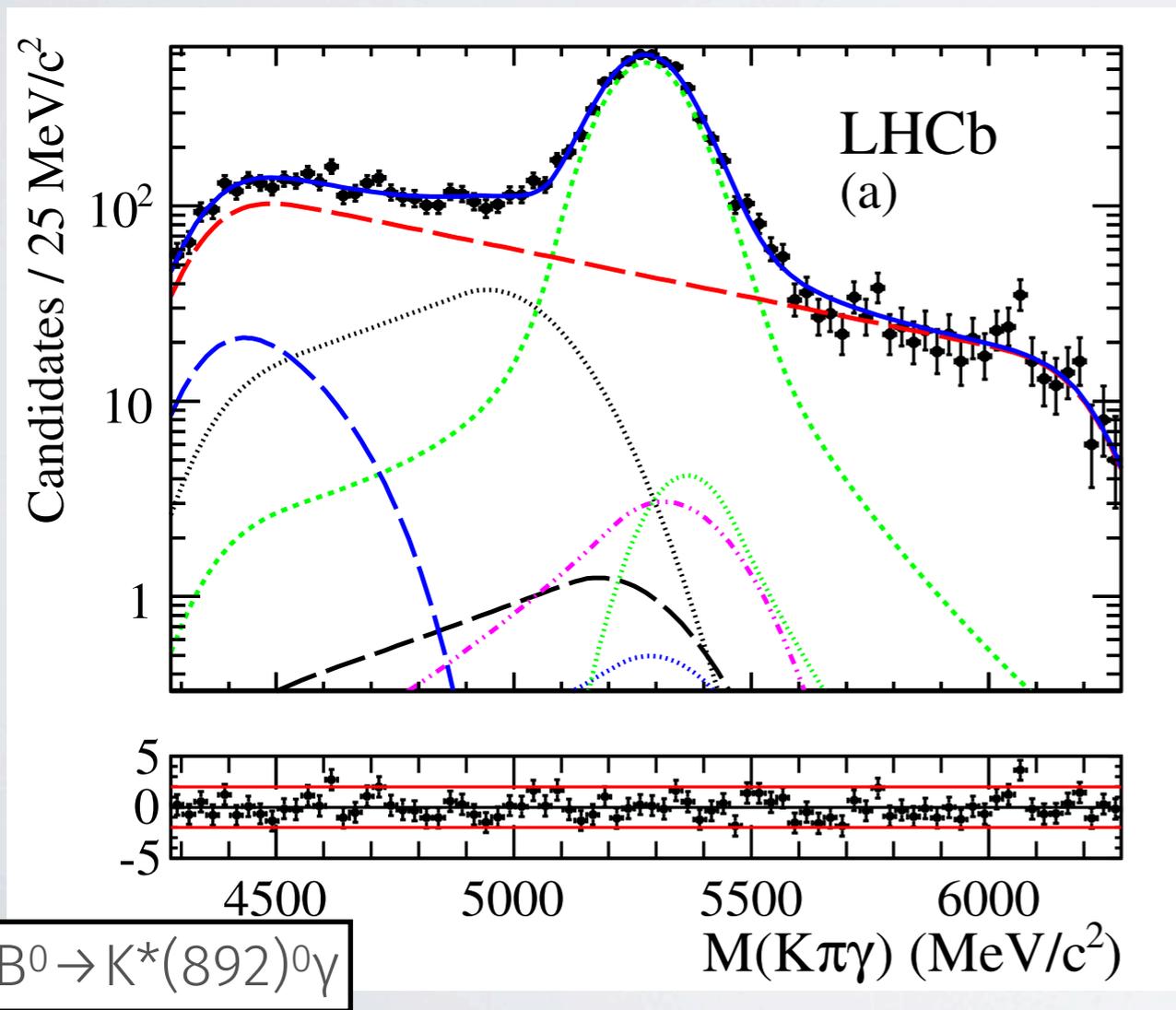
“In view of hadronic uncertainties, using many different hadronic systems is important to corroborate constraints (or tensions!)” (D. Straub)

**Thank you!**

# $B^0 \rightarrow K^{*0} \gamma$ and $B_s \rightarrow \varphi \gamma$ BF

$B^0 \rightarrow K^{*0} \gamma$  and  $B_s \rightarrow \varphi \gamma$  BF ratio measured with 1/fb of data

$$\frac{BF(B^0 \rightarrow K^{*0} \gamma)}{BF(B_s^0 \rightarrow \varphi \gamma)} = 1.23 \pm (\text{stat}) \pm 0.04 (\text{syst}) \pm 0.10 (f_s/f_d)$$



# $A_{CP}$ in $B^0 \rightarrow K^{*0} \gamma$

$A_{CP}$  in  $B^0 \rightarrow K^{*0} \gamma$  measured with 1/fb of LHCb data

$$A_{CP}(B^0 \rightarrow K^{*0} \gamma) = (0.8 \pm 1.7 \text{ (stat)} \pm 0.9 \text{ (syst)})\%$$

$$A_{CP}^{SM}(B^0 \rightarrow K^{*0} \gamma) = (-0.61 \pm 0.43)\%$$

Main systematic coming from  $A_{CP}$  in the background

Update with full Run 1 coming soon (including ratio of BF), getting closer to systematic limitation

