

A close-up photograph of a target with a wooden face and a metal rim. The target is divided into several concentric rings and radial segments. A blue dart with a white shaft is embedded in the center bullseye, which is a small red circle. The background is slightly blurred, emphasizing the target and the dart.

# Towards the Ultimate Precision in Flavour Physics

**B decays to rare leptonic and semileptonic final states**

• Flavour physics always at the frontier of testing the SM and looking for BSM

• **Community eagerly awaiting for new results**, particularly LU tests

**top 10 observables beyond  $B(b \rightarrow s\gamma)$**

- CP asymmetry  $a_{CP}(b \rightarrow s\gamma)$ ; in SM direct CP violation in  $b \rightarrow s$  is small:  $a_{CP} = \frac{|\lambda_s^2 - \lambda_d^2|}{|\lambda_s^2 + \lambda_d^2|} \propto \alpha_s(m_b) f m_{V_{cb}^*} \sim \alpha_s(m_b) \lambda^2 \lesssim \mathcal{O}(1\%)$   
 $a_{CP} = (-0.079 \pm 0.108 \pm 0.022)(1 \pm 0.03)$  CLEO hep-ex/0010075
- search for wrong helicity  $\bar{s}_R \sigma_{\mu\nu} b_L$  in  $b \rightarrow s\gamma$ ; in SM small  $C_7^* = m_s/m_b C_7$  e.g. with polarization studies in  $\Lambda_b \rightarrow \Lambda \gamma$  at Tevatron, LHC, GigaZ hep-ph/0108074
- $|\sin 2\beta_{(J/\psi K)} - \sin 2\beta_{(D_{s1})}|$  is  $\lesssim \mathcal{O}(\lambda^2)$  in SM; direct CPX in  $b \rightarrow s\bar{s}$   $B(B \rightarrow \Phi K_0)_{ave} = 8.8^{+2.7}_{-2.3} \cdot 10^{-6}$  Belle, Babar preliminary  $\sigma_{\Phi K}(stat) = 0.56, 0.18$  with  $0.1, 1ab^{-1}$  hep-ph/0112312
- precision study in inclusive  $b \rightarrow s\ell^+\ell^-$  branching ratio at NNLO for low dilepton inv mass below  $c\bar{c}$  threshold hep-ph/0112300

Gudrun Hiller, SLAC beach 2002 Slide 15

**top 10 observables beyond  $B(b \rightarrow s\gamma)$**

- For-Back-asymmetry  $A_{FB}(B \rightarrow (X_s, K^*)\ell^+\ell^-)$  sign/shape
- if it exists, what is the position of the  $A_{FB}$  zero in low  $q^2$
- Forward-Back-CP asymmetry  $A_{FB}^{CP} \equiv \frac{A_{FB}^+ - A_{FB}^-}{A_{FB}^+ + A_{FB}^-} \sim \frac{Im(C_{10})}{Re(C_{10})}$  probes non-SM CP phase in  $sZb$  vertex; in SM  $A_{FB}^{CP} < 10^{-3}$  hep-ph/0006136
- $B_s - \bar{B}_s$  mixing, Z-penguins
- $B(B_{d,s} \rightarrow \mu^+\mu^-)$ , sensitive to neutral higgs exchange
- nEDMs, strong CP problem  $\bar{\Theta} < 10^{-10}, \delta_{CKM} \sim \mathcal{O}(1)$ ? sensitive to flavor blind CP violation if PQ-axion solution, if spontaneously broken CP tight constraints on flavor structure hep-ph/0201251

top 100:  $b \rightarrow s\nu\bar{\nu}, K \rightarrow \pi\nu\bar{\nu}, D_0 - \bar{D}_0$ , leptons, neutrinos

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Key topics 2002: CP, observation of rare  $B$ -decays, start of angular analysis,  $C_7, C_7', C_{10}, C_P$  ... and  $K, D$  physics

Key themes now: precision, CP, lepton nonuniversality ... and  $K, D$

**Conclusions**

- Crucial to follow different theoretical treatments (SFF or FF) and FF LCSR approaches.
- Improvements on theoretical side for  $b \rightarrow s\mu\mu$ :
  - Form Factors: KMPW  $\mathcal{O}(\alpha_s)$  corrections, BSZ test error assessment, i.e.,  $f_K^T$ .
  - Optimized observables in SFF more robust against changes in FF than non-optimized ones.
  - Non factorizable contributions: theory and experimental approach.
  - Data seems to point to absence of a relevant  $q^2$  dependent in  $C_0$  besides known ones.

- Disentangling scenarios with LFUV observables:
  - $R_K$ - very sensitive to hadronic uncertainties in presence of NP in particular to changes in FF.
  - $R_K$  excellent probe in SM but also in NP due to simple structure.
  - $Q_5$  unique capacity to disentangle  $C_9 = -C_{10}$  and  $C_9$ , but also size of possible hadronic contributions.
- An experimental improvement on  $R_K$  error by 40% assuming same cv:
  - A fit with only LFUV will move above  $5\sigma$  and near  $7\sigma$  of complete fit.

**SUMMARY: PLEASE PROVIDE  $R_K$  and  $Q_5$ !!!!!!!!!!!!**

• **Very large sample of b->s(d)ll decays will become available in (near) future**

Observable	Run 1 result	8 fb <sup>-1</sup>	50 fb <sup>-1</sup>	300 fb <sup>-1</sup>
Yield $B^0 \rightarrow K^{*0}\mu^+\mu^-$	2398 ± 57 [74]	9175	70480	435393
Yield $B_s^0 \rightarrow \phi\mu^+\mu^-$	432 ± 24 [75]	1653	12697	78436
Yield $B^+ \rightarrow K^{*+}\mu^+\mu^-$	4746 ± 81 [83]	18159	139491	861709
Yield $B^+ \rightarrow \pi^+\mu^+\mu^-$	93 ± 12 [84]	355	2725	16831
Yield $A_b^0 \rightarrow \Lambda\mu^+\mu^-$	373 ± 25 [85]	1426	10957	67688

Observable ( $1.1 < q^2 < 6.0 \text{ GeV}^2/c^4$ )	Run 1 result	8 fb <sup>-1</sup>	50 fb <sup>-1</sup>	300 fb <sup>-1</sup>
Yield $B^+ \rightarrow K e^+ e^-$	254 ± 29	950	7500	45000
Yield $B^0 \rightarrow K^{*0} e^+ e^-$	111 ± 14	400	3200	20000
Yield $B_s^0 \rightarrow \phi e^+ e^-$	-	75	560	3500
Yield $\Lambda_b^0 \rightarrow p K e^+ e^-$	-	200	1500	9400
Yield $B^+ \rightarrow \pi^+ e^+ e^-$	-	-	300	1800

• **Belle-II will very soon enter the game** (could improve precision on BR of normalisation modes used by LHCb?)

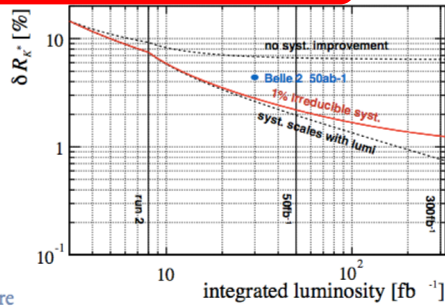
- How precise can **RK(\*)** become?

Potentially irreducible systematics are bound by the limited knowledge of the modelling of bremsstrahlung effects

- [i] Reconstruction of emitted- $\gamma$  before the magnet
- [ii] Ability to find the corresponding photons in the ECAL
- [iii] Energy resolution

These features are compulsory for the design of the upgrade detector

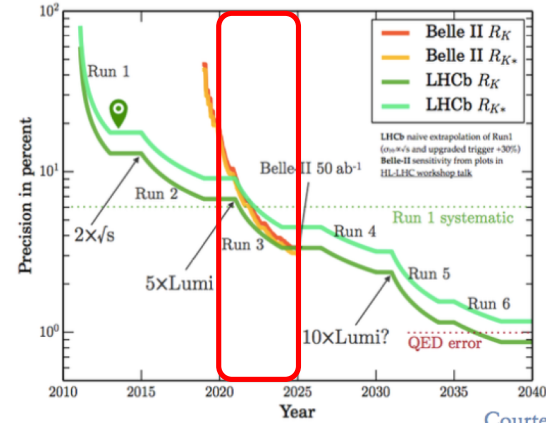
e.g. reduced amount of material before the magnet would reduce these factors



Courtesy of T. Blake

- Tight but healthy competition ahead

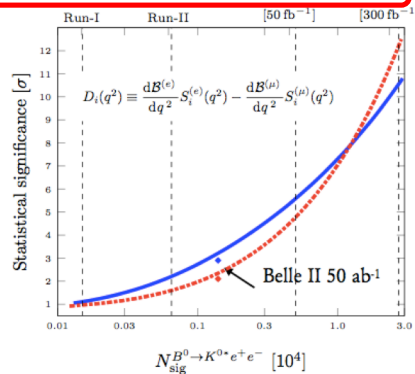
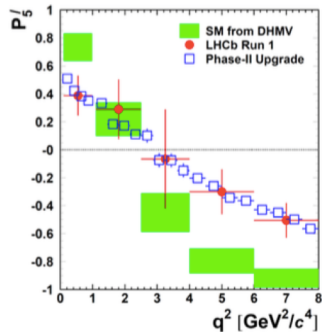
How is the interplay between LHCb/Belle-II ?



Courtesy of M. Borsato

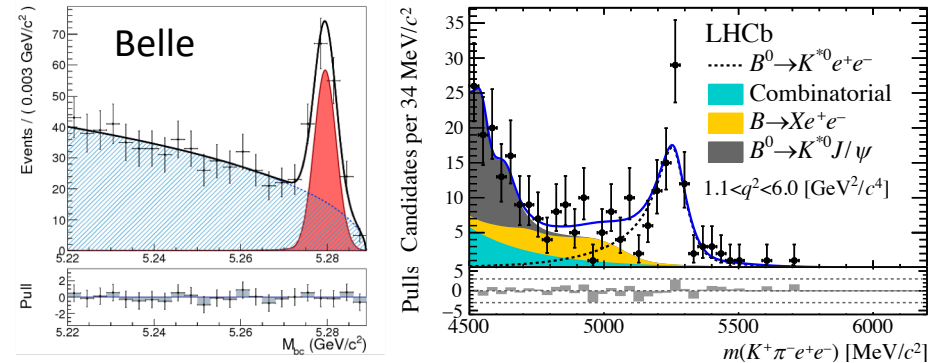
- What about **angular observables**?

Limiting factors are hard to estimate prior to the first  $B^0 \rightarrow K^{*0}e^+e^-$  angular analysis



In particular, no “double-ratio” trick is possible - which requires an even better control of the electron mode systematics

- Life at Belle-II easier with electrons



- Analyses must drive the design of the **LHCb Phase-II upgrade ECAL**

- Long-standing debate on whether not full control of charm-loops could explain the present anomalies
- **Sinergy between theory and experiments, but need more data**
- New ideas and continuous progress

## Charm loop: dangerous or harmless?



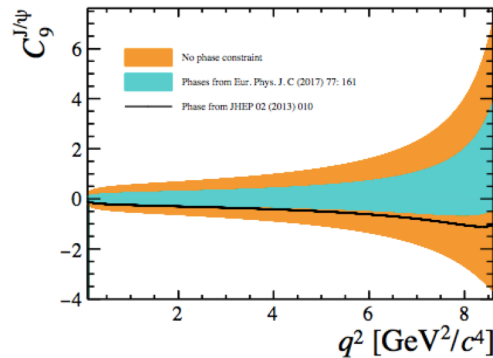
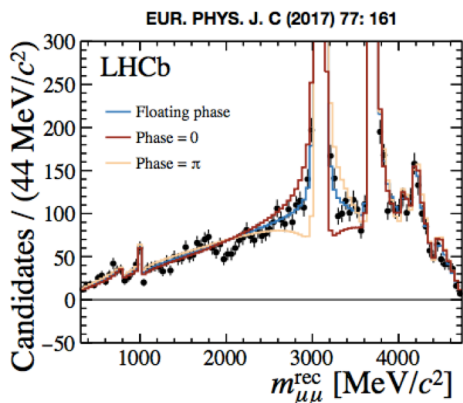
A clear-cut non-perturbative calculation is not available yet

Combinations of QCDF, LCSR, analyticity and unitarity point to a moderate effect with a flat  $q^2$  dependence in the region of interest. Yet their ability to fully describe  $c$ -loop rescattering is questionable

Future data could be able to pin down hadronic contributions with no short-distance counterparts (all but  $\Delta C_7$  and  $\Delta C_9$ )

LFUV signals are not affected, but their interpretation may be

- Fit to data reveals that the  $J/\psi$  has little impact outside the region.

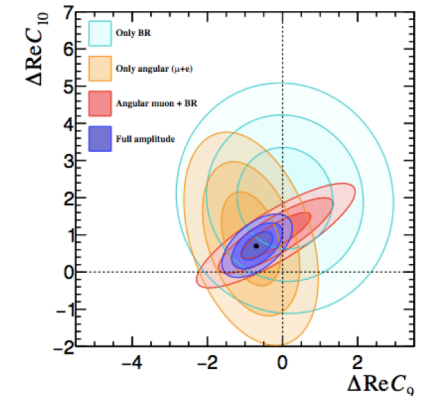


Chapter [iv]: simultaneous unbinned analysis of  $B^0 \rightarrow K^{*0}\mu^+\mu^-$  and  $B^0 \rightarrow K^{*0}e^+e^-$

[A. Mauri *et al.*, to appear in arXiv tomorrow]

♦ All nuisance parameters are shared between electron and muons, i.e. CKM and (non) local hadronic

♦ Extended maximum-likelihood fit, i.e. includes  $R_{K^*}$  information



- Given hints of LU violation taus are attracting significant interest, particularly in **LF violating decays**

### Exciting $\tau$ -imes

arXiv 1712.01368

- Gino Isidori (IW, Nov 2017) → idea: at high energies the 3 families are charged under 3 independent gauge groups (gauge bosons carry a flavor index)
- If the anomalies are due to NP, we should expect to see several other BSM effects in low-energy observables:

	$\mu\mu$ (ee)	$\tau\tau$	$\nu\nu$	$\tau\mu$	$\mu e$
$b \rightarrow s$	$R_K, R_{K^*}$ O(20%)	$B \rightarrow K^{(*)} \tau\tau$ → 100×SM	$B \rightarrow K^{(*)} \nu\nu$ O(1)	$B \rightarrow K \tau\mu$ → ~10 <sup>-6</sup>	$B \rightarrow K \mu e$ ???
$b \rightarrow d$	$B_d \rightarrow \mu\mu$ $B \rightarrow \pi \mu\mu$ $B_s \rightarrow K^{(*)} \mu\mu$ O(20%) [ $R_K=R_\pi$ ]	$B \rightarrow \pi \tau\tau$ → 100×SM	$B \rightarrow \pi \nu\nu$ O(1)	$B \rightarrow \pi \tau\mu$ → ~10 <sup>-7</sup>	$B \rightarrow \pi \mu e$ ???

- Tau reconstruction at Belle-II is facilitated compared to LHCb
- Analyses must drive the design of the **LHCb Phase-II upgrade**

- Larger datasets and analysis techniques constantly developing will make **increasingly stringent tests in future**

### Belle II / LHCb Perspectives (prel)

Decays	SM prediction	BELLE II limit reach 5 ab <sup>-1</sup> (90% CL)	BELLE II limit reach 50 ab <sup>-1</sup> (90% CL)
$B \rightarrow \tau e / B \rightarrow \tau \mu$	-	-	$1.6 \cdot 10^{-6} / 1.3 \cdot 10^{-6}$
$B_s \rightarrow \tau e / B_s \rightarrow \tau \mu$	-	-	-
$B \rightarrow K \tau e / B \rightarrow K \tau \mu$	-	-	$2.1 \cdot 10^{-6} / 3.3 \cdot 10^{-6}$
$B \rightarrow \tau\tau$	$(2.22 \pm 0.19) \cdot 10^{-8}$	$3.0 \cdot 10^{-4}$	$9.6 \cdot 10^{-5}$
$B_s \rightarrow \tau\tau$	$(7.73 \pm 0.49) \cdot 10^{-7}$	$8.1 \cdot 10^{-4}$	-
$B \rightarrow K \tau\tau$	$(1.20 \pm 0.12) \cdot 10^{-7}$	$6.5 \cdot 10^{-5}$	$2.0 \cdot 10^{-5}$
$B \rightarrow \tau\nu$	$(7.7 \pm 0.6) \cdot 10^{-5}$	Error $\sim 0.7 \cdot 10^5$	Error $\sim 0.3 \cdot 10^5$
$R_\tau B \rightarrow \pi[\tau/\nu]$	$0.641 \pm 0.016$	$\pm 0.23$	$\pm 0.09$
Decays	SM prediction	LHCb RUN3 (95% CL)	LHCb RUN5 (95% CL)
$B \rightarrow \tau\mu$	-	$1.0 \cdot 10^{-6}$	$2.6 \cdot 10^{-7}$
$B_s \rightarrow \tau\mu$	-	$3.5 \cdot 10^{-6}$	$9.0 \cdot 10^{-7}$
$B \rightarrow \tau\tau$	$(2.22 \pm 0.19) \cdot 10^{-8}$	$2.3 \cdot 10^{-4}$	$5.7 \cdot 10^{-5}$
$B_s \rightarrow \tau\tau$	$(7.73 \pm 0.49) \cdot 10^{-7}$	$8.0 \cdot 10^{-4}$	$2.0 \cdot 10^{-4}$

*UNOFFICIAL*

Synergy in  $B \rightarrow \tau + \tau \rightarrow$  BELLE II - better understanding of intermediate resonance structure of the  $\tau \rightarrow \pi - \pi - \pi + \pi - \nu \tau$  decay - exploited in LHCb analysis to define a region with higher signal sensitivity, and control - possible syst limitation  
G. Mancinelli (CPPM)

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### Improvements for tau leptons:

- Better **Ecal** → better neutral isolation algorithms
- **Tracking stations in the magnet** → ~30% more efficiency for  $B \rightarrow \tau\tau$
- **Hadronic trigger** improvements (up to factors 2 for hadronic tau decays)
- **Mass reconstruction** methods depend heavily on the error on the primary and the tau decay vertices, hence any improvement in the **tracking system** will be highly valuable.