

# Angular analysis of $\Lambda_b \rightarrow \Lambda \mu^+ \mu^-$

**Georgios Chatzikonstantinidis<sup>‡</sup>**

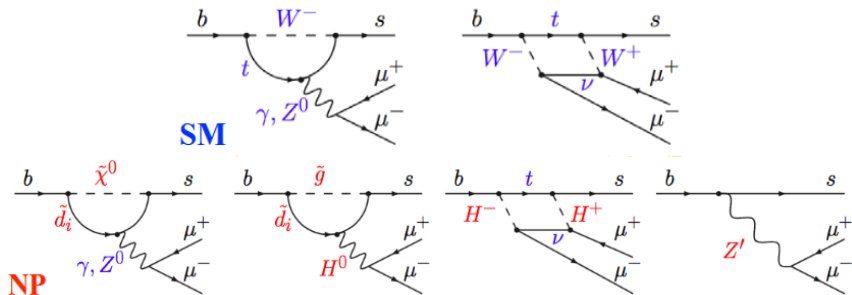
<sup>‡</sup> University of Birmingham

Joint APP and HEPP Annual Conference



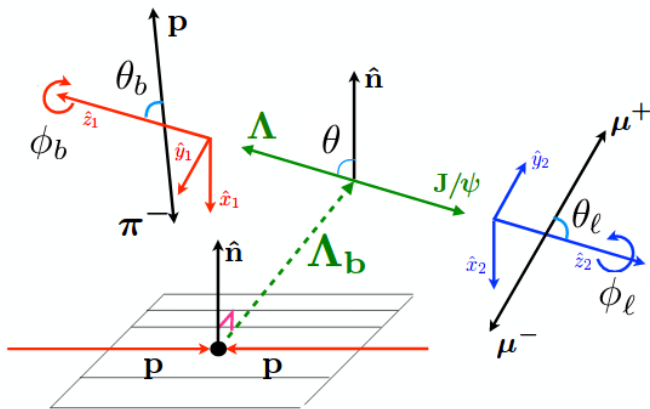
# Introduction

- $\Lambda_b \rightarrow \Lambda \mu^+ \mu^-$  is a flavor changing neutral current (**FCNC**) decay and so very sensitive to new physics effects (NP).
- NP can alter branching fractions and **angular observables**.
- Aim to measure angular observables of  $\Lambda_b \rightarrow \Lambda \mu^+ \mu^-$  which are sensitive to NP.



# Angular distribution of $\Lambda_b \rightarrow \Lambda \mu^+ \mu^-$

[Adapted from arXiv:1802.04867v1]



# Differential decay rate [JHEP11(2017)138]

$$\frac{32\pi^2}{3} \frac{d^6\Gamma}{dq^2 d\cos\theta d\cos\theta_I d\cos\theta_b d\phi_I d\phi_b} = \left( J_1 \sin^2 \theta_I + J_2 \cos^2 \theta_I + J_3 \cos \theta_I \right) +$$

• Differential decay rate is written  
in terms of five angles and dimuon  
invariant mass squared ( $q^2$ )

•  $J_i$  depend on  $q^2$

$$\begin{aligned} & \left( J_4 \sin^2 \theta_I + J_5 \cos^2 \theta_I + J_6 \cos \theta_I \right) \cos \theta_b + \\ & \left( J_7 \sin \theta_I \cos \theta_I + J_8 \sin \theta_I \right) \sin \theta_b \cos (\phi_b + \phi_I) + \\ & \left( J_9 \sin \theta_I \cos \theta_I + J_{10} \sin \theta_I \right) \sin \theta_b \sin (\phi_b + \phi_I) + \\ & \cos \theta \left\{ \left( J_{11} \sin^2 \theta_I + J_{12} \cos^2 \theta_I + J_{13} \cos \theta_I \right) + \right. \\ & \quad \left( J_{14} \sin^2 \theta_I + J_{15} \cos^2 \theta_I + J_{16} \cos \theta_I \right) \cos \theta_b + \\ & \quad \left( J_{17} \sin \theta_I \cos \theta_I + J_{18} \sin \theta_I \right) \sin \theta_b \cos (\phi_b + \phi_I) + \\ & \quad \left. \left( J_{19} \sin \theta_I \cos \theta_I + J_{20} \sin \theta_I \right) \sin \theta_b \sin (\phi_b + \phi_I) \right\} + \\ & \sin \theta \left\{ \left( J_{21} \cos \theta_I \sin \theta_I + J_{22} \sin \theta_I \right) \sin \phi_I + \right. \\ & \quad \left( J_{23} \cos \theta_I \sin \theta_I + J_{24} \sin \theta_I \right) \cos \phi_I + \\ & \quad \left( J_{25} \cos \theta_I \sin \theta_I + J_{26} \sin \theta_I \right) \sin \phi_I \cos \theta_b + \\ & \quad \left( J_{27} \cos \theta_I \sin \theta_I + J_{28} \sin \theta_I \right) \cos \phi_I \cos \theta_b + \\ & \quad \left( J_{29} \cos^2 \theta_I + J_{30} \sin^2 \theta_I \right) \sin \theta_b \sin \phi_b + \\ & \quad \left( J_{31} \cos^2 \theta_I + J_{32} \sin^2 \theta_I \right) \sin \theta_b \cos \phi_b + \\ & \quad \left( J_{33} \sin^2 \theta_I \right) \sin \theta_b \cos (2\phi_I + \phi_b) + \\ & \quad \left. \left( J_{34} \sin^2 \theta_I \right) \sin \theta_b \sin (2\phi_I + \phi_b) \right\} . \end{aligned}$$

# Angular observables of $\Lambda_b \rightarrow \Lambda \mu^+ \mu^-$

- Observables  $J_{11} - J_{34}$  depend on **production polarisation** of  $\Lambda_b$ .
- Define new set of observables as,  $M_i = J_i / (2J_1 + J_2)$ .
- In total we measure 34 angular observables ( **$M_1$  to  $M_{34}$** ).
- Related to three angular asymmetries.

$$M_i = \frac{1}{N} \int \frac{d^6\Gamma}{dq^2 d\cos\theta d\cos\theta_l d\cos\theta_b d\phi_l d\phi_b} \times f_i(\cos\theta, \cos\theta_l, \cos\theta_b, \phi_l, \phi_b) d\cos\theta d\cos\theta_l d\cos\theta_b d\phi_l d\phi_b .$$

$$N = \int \frac{d^6\Gamma}{dq^2 d\cos\theta d\cos\theta_l d\cos\theta_b d\phi_l d\phi_b} d\cos\theta d\cos\theta_l d\cos\theta_b d\phi_l d\phi_b .$$

## Forward-backward (FB) asymmetries

$$A_{FB}^l = \frac{3}{2} M_3 \quad A_{FB}^h = M_4 + \frac{1}{2} M_5 \quad A_{FB}^h = \frac{3}{4} M_6$$

# Extracting the angular observables

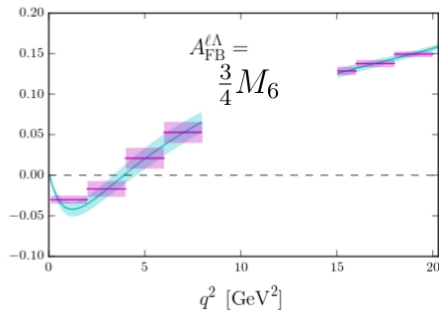
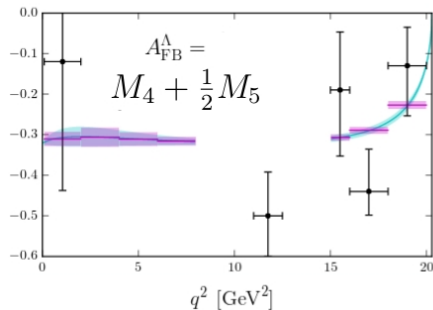
- Angular observables are extracted using **moments analysis** (small data set size).
- Angular observables are integrated over  $q^2 \in [15 - 20] \text{ GeV}^2/c^4$ .  
This bin is where we have enough data to perform angular analysis.

Moments can be extracted as:

$$M_i = \frac{\sum_{e}^{N_{\text{ev}}} (w_e/\varepsilon_e) f_i(\cos\theta_l^{(e)}, \cos\theta_b^{(e)}, \phi_l^{(e)}, \phi_b^{(e)}, \cos\theta^{(e)})}{\sum_{e}^{N_{\text{ev}}} (w_e/\varepsilon_e)} .$$

- $f_i$  are the **weighting functions** that project out  $M_i$ .
- $w_e$  are the **sWeights**, used for background subtraction.
- $\varepsilon_e$  are the **efficiency weights**.
- Estimate errors using **Bootstrapping**.
- Moments and errors are **not** sensitive to normalisation.

# Predictions



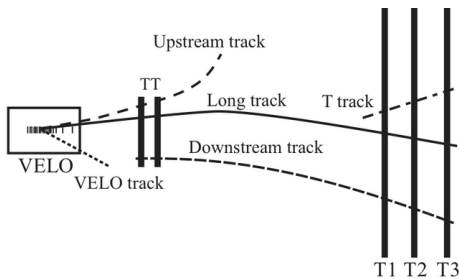
- Data points are experimental data from LHCb [JHEP06(2015)115].
- Previous LHCb measurement performed **1D Likelihood** fits on the **angular projections** of  $\cos\theta_l$  and  $\cos\theta_b$ , using Run1 data.
- Predictions for angular observables, without binning (cyan curves) and with binning (magenta curves) [Phys. Rev. D 93, 074501].

# Data analysis

Analysis is performed using data collected by **LHCb** detector during **LHC Run1** ( $3\text{fb}^{-1}$  at 7-8 TeV) and **Run2** ( $2\text{fb}^{-1}$  at 13 TeV).

$\Lambda(\rightarrow p\pi^-)$  is a long lived particle.  
Events considered in two track categories.

- With hits in VELO (**long events - LL**).
- With no hits in VELO (**downstream events - DD**).
- LL and DD events have different **resolution** and **efficiency**.

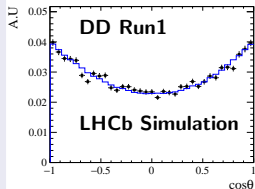
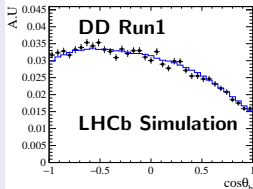
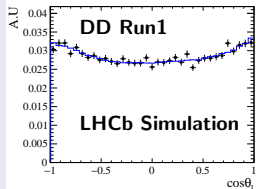




# Data analysis

- Candidates chosen using loose preselection followed by MVA.
- Working point of MVA is chosen by maximising  $S/\sqrt{(S+B)}$ .
- **Efficiency** is parametrised in **five angles** and  $q^2$ , using Legendre polynomials (LP).
- The control mode used in the analysis is the  $\Lambda_b \rightarrow J/\psi\Lambda$ . The latter is used to understand the signal mass model of the  $\Lambda_b \rightarrow \Lambda\mu^+\mu^-$  and perform validation studies related to the angular efficiency.

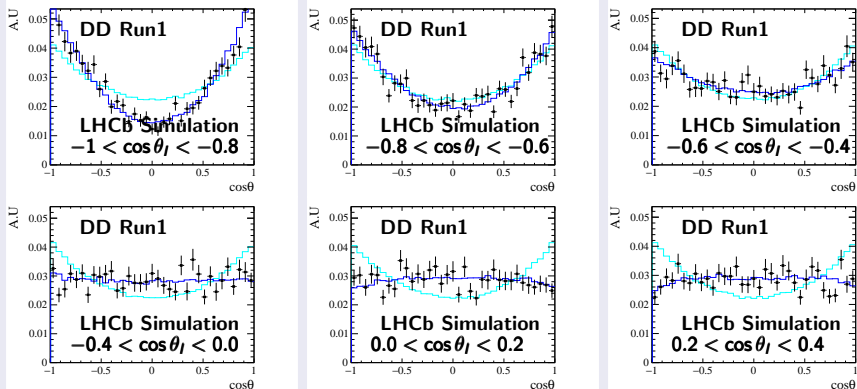
Data points represent MC and blue line is the total angular projection.



# Data analysis

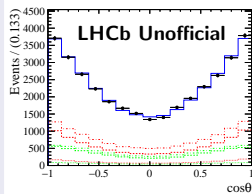
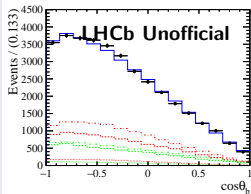
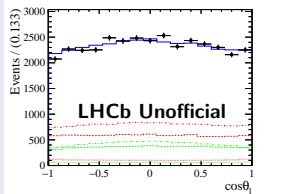
- Correlations between angles and  $q^2$  in efficiency parametrisation are properly described.

Example of 1D angular efficiency projections of  $\cos\theta$  in bins of  $\cos\theta_1$ . Data points represent MC, blue and cyan lines represent angular efficiency with and without taking into account correlations.



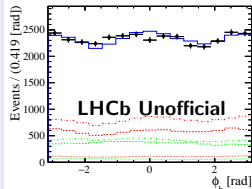
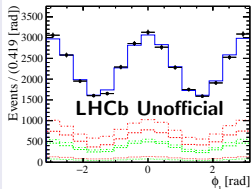
# Cross-check with $\Lambda_b \rightarrow J/\psi\Lambda$

Data points are the combined data for Run1 and Run2, corrected for background (sWeighted). Blue line is the total 1D angular projection, while red, green and dotted, dotted&dashed, dashed lines represent the contribution for DD, LL for 2011 + 2012, 2015 and 2016 contribution.



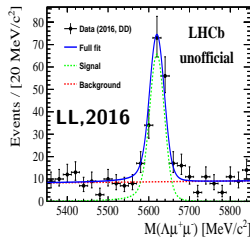
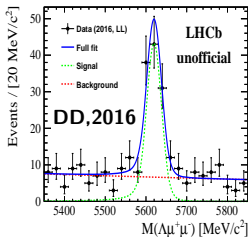
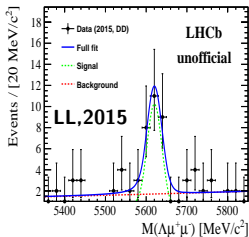
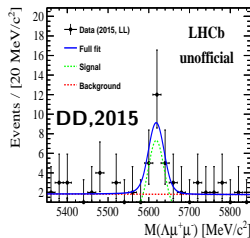
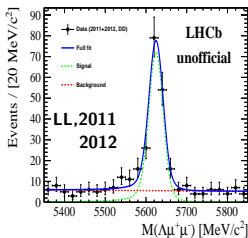
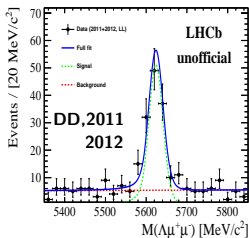
Previously measured

Phys. Lett. B724 (2013) 27 (LHCb)  
Phys. Rev. D 89, 092009 (ATLAS)  
arXiv:1802.04867v1 (CMS)



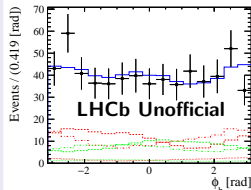
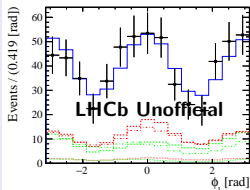
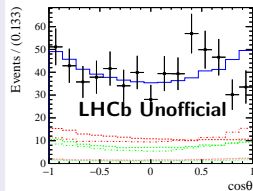
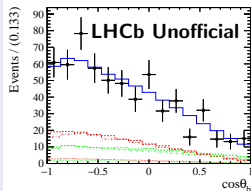
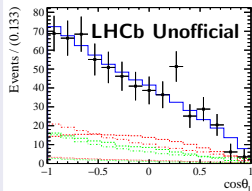
# Total Signal yield of $\Lambda_b \rightarrow \Lambda \mu^+ \mu^-$

Total signal yield for the decay of  $\Lambda_b \rightarrow \Lambda \mu^+ \mu^-$  is found to be  $610 \pm 29$



# Results

Data points are the combined data for Run1 and Run2, corrected for background (sWeighted). Blue line is the total 1D angular projection, while red, green and dotted, dotted&dashed, dashed lines represent the contribution for DD, LL for 2011 + 2012, 2015 and 2016 contribution.



**Asymmetry** parameters for the **combined** Run1 and Run2 datasets, with blinded central values are presented,  $A'_{FB} = x.x \pm 0.045(stat)$ ,  $A^h_{FB} = x.x \pm 0.049(stat)$ ,  $A^h_{FB} = x.x \pm 0.041(stat)$ . In this analysis we measure the full set of angular observables of  $\Lambda_b \rightarrow \Lambda \mu^+ \mu^-$  and we improve precision of angular observables extracted relative to previous LHCb measurement [JHEP06(2015)115].

Combined systematic uncertainties are expected to be on the order of 0.20% of the statistical uncertainty of the moments ( $M_i$ ).

**Analysis will be finished very soon.**