India-Based Neutrino Observatory INO

Physics and Status Report

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Outline of talk

The context: INO and the physics of atmospheric neutrinos

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Synergies with current and future experiments

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- The context: INO and the physics of atmospheric neutrinos
- Synergies with current and future experiments
- INO-Status Report

Atmospheric Neutrinos

Cosmic rays interact with C, O nuclei in Earth's atmosphere to give pions and kaons. These decay to muons and both neutrinos and anti-neutrinos. $\pi^{\pm}(K) \rightarrow \mu^{\pm} \nu_{\mu}; \quad \mu^{\pm} \rightarrow \nu_{\mu} e^{\pm} \nu_{e}.$



Atmospheric Neutrino Fluxes



- Rigidity latitude dependent; actually magnetic latitude
- East-west asymmetry pronounced at low energies.
- Large contribution from up-going neutrinos.

Characteristics of Atm. ν **Detectors**

Atmospheric neutrinos have large L and E range. So most atmospheric neutrino detectors have:

- Solution Nearly 4π coverage in solid angle;
- Sensitivity to as low/high energies as possible; note that the most interesting region for observing matter effects in the 2–3 sector is 3–15 GeV;
- Sensitivity to direction, actually up/down discrimination;
- Desirable: Good charge resolution to distinguish neutrino and anti-neutrino events.
- Sensitivity to both electrons and muons
- Desirable: sensitivity to hadrons and tau (indirect).

What can these detectors tell us about neutrino oscillations?

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•
$$\theta_{12} \sim 34^{\circ}; \Delta_{21} > 0$$
 (Solar)
 $\theta_{23} \sim 45^{\circ}:$ octant?

 $\theta_{13} \sim 8.5^{\circ};$

- \Rightarrow Possible to detect CP violation
- $\delta_{CP} > \pi$: difference between interaction of ν , $\overline{\nu}$ with matter

(de Salas et al., hep-ph/1806.11051)



eutrino versus Anti-neutrino Propagation

Solution The ν_e , ν_μ and ν_τ flavours do not have definite masses:

$$u_lpha = \sum_i U_{lpha i}
u_i \; .$$

where ν_1 , ν_2 and ν_3 have well-defined masses: m_1 , m_2 and m_3 , some are non-zero. $U(\theta_{12}, \theta_{13}, \theta_{23}, \delta_{CP})$ is the mixing matrix.

Solution The Earth matter effect mainly occurs in the θ_{13} parameter for atmospheric neutrinos:

(1)
$$(\sin 2\theta_{13})_m = \frac{(\sin 2\theta_{13})}{\sqrt{[\cos 2\theta_{13} - (A/\Delta m_{32}^2)]^2 + (\sin 2\theta_{13})^2}}$$

where $A = 7.6 \times 10^{-5} \rho E eV^2$; $\Delta m_{32}^2 = m_3^2 - m_2^2$, Here ρ = earth density (gms/cc); E = neutrino energy in GeV; $A \rightarrow -A$ for anti-neutrinos.

Physics of Atmospheric Neutrinos-1

Sensitivity to Earth Matter Effects; hence hierarchy



- Sensitivity is hierarchy dependent. Shown here is the sensitivity with the normal hierarchy, $\Delta m^2 > 0$ for different θ_{13} , now known to be $\sim 8.5^{\circ}$
- Seduced sensitivity in anti-neutrino sector since $A \rightarrow -A$
- Probe of PREM profile possible, especially for $\theta < 20^\circ$; not easy to alter Earth density since mass of Earth tightly constrained!
 July 17, 2018, FPCP, Hyderabad p. 8

Physics of Atmospheric Neutrinos-2

Sensitivity to octant of θ_{23}



Physics of Atmospheric Neutrinos-3

Sensitivity to the CP phase



India-based Neutrino Observatory Project

At Pottipuram, Theni

The INO Project

- A mega Science Project funded by the Dept. of Science and Technology and Dept. of Atomic Energy, Govt. of India
- Immediate goal: Creation of an underground laboratory for research in neutrino physics at Pottipuram
- Will develop into a full fledged underground laboratory over the years for other studies in physics, biology and geology
- Main detector proposed is magnetised Iron CALorimeter (ICAL) to study primarily atmospheric neutrinos
- Will incorporate a centre for particle physics and detector technology and its varied applications at Madurai
- The INO graduate training program has already begun

The INO Collaboration*



• Project Director: V.M. Datar, TIFR

- American College
- AMU • BHU
- CKU • BARC
- CU
- HRI
- HPU
- IITB
- IITG
- IMSc
- JU
- MU
- PU
- SINP
- TIFR • SMIT
- Tezpur U • VECC

- HNBGU • IISER(M)
- IGCAR
- IOP

• DU

• UoH

- KU
- NBU
- PRL
- SU

Physics at ICAL/INO

- Proposed 50 kton magnetised iron calorimeter (ICAL) to be able to separately study atmospheric neutrino and anti-neutrino events.
- Solution Section Section
- It will have limited sensitivity to electron neutrinos and hence δ_{CP} through CC channel
- It will have indirect sensitivity to tau neutrinos
- It will have limited sensitivity to steriles due to the poor separation of neutral current NC and CC electron channels
- It has sensitivity to exotic physics such as dark matter annihilation in the Sun, magnetic monopoles, NSI, etc

Physics reach of INO: Precision Studies



Note ICAL yet to be built!

S M Lakshmi, 1605.04185

Sesult marginalised over magnitude of Δm^2 , as well at $heta_{23}^{_{2018}}$ and $heta_{13}^{_{2018}}$.

Physics reach of INO: Mass ordering

Mass Ordering



- Note improvement with addition of hadrons; M M Devi, JHEP10, 2014
- Solution Result marginalised over magnitude of Δm^2 , as well as θ_{23} and θ_{13} .

Global status: Mass hierarchy

• Matter effect / mass hierarchy is the centrepiece of ICAL physics.

• It has a major role to play in understanding models of neutrino mass and mixing. It also impacts the determination of whether neutrinos are Majorana or Dirac type of fermions.

What is the role of other experiments in determining this quantity?



Apart from INO, MINOS, T2K, NO ν A, PINGU/Icecube, JUNO, DUNE, Hyper-K, LBNE all will/are probing mass hierarchy. Each is an amazing experiment.

Most have to disentangle effects of CP phase from the hierarchy measurement; can accomplish this only for a fraction of possible δ_{CP} from $-\pi$ to π .

Additional Synergies



Other Physics

- Sterile neutrinos; hard since need to measure all neutrino flavours.
- Neutrino decay (via Majorons) into steriles; S. Choubey, arXiv:1709.10376: simulations bound $m_3/\tau_3 < 4 \times 10^{-6}$ eV² (90CL)
- Non-standard neutrino interactions, such as flavour-dependent long-range forces; Amina Khatun, 1801.00949
- Look for signatures of CP violation, Lorentz invariance violation, etc.
- Can use the detectors to probe non-oscillation, non-neutrino physics: cosmic muons, dark matter, etc.
- Bottom line: lots of exciting possibilities; but must build detector!

Example, with ICAL+



N. Dash, PhD thesis

Status of ICAL Prototype



Uniformity:91.8% for field 1T





Magnet power supply 30V DC, 1200 AMP



Magnetic measurement system (1st ,6th , 11th layer)



Hall probe PCB in the gap



Hall probe PCB strip

9



Search coils for flux measurement

Ø

Cosmic Muons in 5 layers



Cosmic Muons in 8 layers

8 RPCs at centre of mini-ICAL (23-5-2018)



I = 900 A ; B = 1.4 Tesla

Proposal for a near-surface detector

- A cosmic muon veto detector (CMV) with efficiency of 99.99% needed
- Solution Results with one CMV ($1m \times 1m \times 0.3m$) look promising
- Simulations to check background from neutrals



Simulation using 1010 muons after 100m rock (or 1010 at surface, secondaries producing muon track (>~ 5 layers). For 108 muons/day on 100m deep ICAL bkgd events ~ 0.0023/day, while Natm ~ 3/day

Preliminary results show promise!

INO and Outreach



- Public awareness programmes began in late 2009. After many such outreach meetings, the locals accepted the project.
- A sustained, deliberate mis-information campaign against INO. Warns of danger from neutrinos, dangers from construction, and danger of a hidden "secret" agenda.
- Another round of outreach started last week; hope that can convince locals, environmental activists, and politicians that project poses no danger; will in fact be boon for students in TN and India.
- Look forward to support from entire community. THANK 17,200 Here, Hyderabad p. 25

Additional Slides

Neutrino Oscillations

(2)
$$|\nu_{\alpha}
angle = \sum_{i} U_{\alpha i} |\nu_{i}
angle$$

Here U is the 3×3 unitary matrix which may be parametrised as (ignoring Majorana phases):

$$(\mathfrak{B}) = \begin{pmatrix} c_{12}c_{13} & s_{12}c_{13} & s_{13}e^{-i\delta_{CP}} \\ -c_{23}s_{12} - s_{23}s_{13}c_{12}e^{i\delta_{CP}} & c_{23}c_{12} - s_{23}s_{13}s_{12}e^{i\delta_{CP}} & s_{23}c_{13} \\ s_{23}s_{12} - c_{23}s_{13}c_{12}e^{i\delta_{CP}} & -s_{23}c_{12} - c_{23}s_{13}s_{12}e^{i\delta_{CP}} & c_{23}c_{13} \end{pmatrix}$$

 δ_{CP} is the CP violating (Dirac) phase and M_{ν} is diagonalised in the charged-lepton mass basis by U:

(4)
$$U^{\dagger}M_{\nu}U = \text{diag}(m_1, m_2, m_3).$$

Matter Effects

First consider matter of constant density ρ (in gms/cc). Then we can replace the vacuum values by the corresponding matter-modified effective ones obtained by diagonalising the matter dependent matrix (Hamiltonian):

(5)
$$U\left(\begin{array}{ccc} 0 & 0 & 0 \\ 0 & \Delta m_{21}^2 & 0 \\ 0 & 0 & \Delta m_{31}^2 \end{array}\right) U^{\dagger} + \left(\begin{array}{ccc} A & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{array}\right),$$

where

(6)
$$A = 2\sqrt{2}G_F n_e E = 7.63 \times 10^{-5} \text{ eV}^2 \ \rho(\text{gm/cc}) \ E(\text{GeV}) \ \text{eV}^2.$$

Mixing angles in matter

Further simplification arises because $\Delta m_{21}^2 \ll \Delta m_{31}^2$ and we can treat the propagation in matter as a one mass-scale problem involving only $\Delta m_{32}^2 \approx \Delta m_{31}^2$. The matter dependent mixing angle $\theta_{12,m}$ may be approximately written as

(7)
$$\sin 2\theta_{12,m} \approx \frac{\sin 2\theta_{12}}{\sqrt{(\cos 2\theta_{12} - (A/\Delta m_{21}^2)\cos^2 \theta_{13})^2 + \sin^2 2\theta_{12}}}$$

The effect of matter on the angle θ_{13} is non-trivial and is given by

(8)
$$\sin 2\theta_{13,m} = \frac{\sin 2\theta_{13}}{\sqrt{(\cos 2\theta_{13} - (A/\Delta m_{31}^2))^2 + (\sin 2\theta_{13})^2}}$$

(9)
$$\sin 2\theta_{23,m} \approx \sin 2\theta_{23} .$$