RD/RD* with RH neutrinos

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"High-Energy Implications of Flavor Anomalies" CERN, October 2018

Based on Asadi, Buckley & DS 1804.04135, 1810.06597 see also Robinson, Shakya, Zupan + Greljo 1804.04642, 1807.04753

ARE WE SURE THAT THESE ARE SM NEUTRINOS?



Belle 1507.03233



Belle 1507.03233





Allowing for RH neutrinos opens up new avenues for model building and phenomenology.

He & Valencia 1211.0348 Dutta et al 1307.6653 Cline 1512.02210 Becirevic et al 1608.08501 Bardhan et al 1610.03038 Dutta & Bhol 1611.00231 Iguro & Omura 1802.01732 Asadi et al 1804.04135 Greljo et al 1804.04642 Abdullah et al 1805.01869 Robinson et al 1807.04753 Azatov et al 1807.10745 Heeck et al 1808.07492 Carena et al 1809.01107 Iguro et al 1810.05843 Asadi et al 1810.06597

How will we be able to tell LH from RH neutrinos experimentally?

Effective Hamiltonian



Mediator	ator Operator Combination	
Colorless Scalars	\mathcal{O}^S_{XL}	$\bigstar \left(Br \left(B_c \to \tau \nu \right) \right)$
$W^{\prime\mu}$ (LH fermions)	\mathcal{O}_{LL}^V	✗ (collider bounds)
S_1 LQ $(\bar{3}, 1, 1/3)$ (LH fermions)	$\mathcal{O}_{LL}^S - x \mathcal{O}_{LL}^T, \ \mathcal{O}_{LL}^V$	✓
U_1^{μ} LQ $(3, 1, 2/3)$ (LH fermions)	$\mathcal{O}^{S}_{RL}, \mathcal{O}^{V}_{LL}$	✓
$R_2 LQ (3, 2, 7/6)$	$\mathcal{O}_{LL}^S + x \mathcal{O}_{LL}^T$	✓
$S_3 \; { m LQ} \; (ar{3}, 3, 1/3)$	\mathcal{O}_{LL}^V	$\bigstar (Br (B \to X_s \nu \nu))$
$U_3^{\mu} \ { m LQ} \ (3,3,2/3)$	\mathcal{O}_{LL}^V	$\bigstar (Br (B \to X_s \nu \nu))$
$V_2^{\mu} \ { m LQ} \ (ar{3},2,5/6)$	\mathcal{O}^S_{RL}	$(R_{D^{(*)}} \text{ value})$
Colorless Scalars	\mathcal{O}^S_{XR}	$\bigstar \left(Br \left(B_c \to \tau \nu \right) \right)$
$W^{\prime\mu}$ (RH fermions)	\mathcal{O}_{RR}^{V}	✓
\tilde{R}_2 LQ $(3, 2, 1/6)$	$\mathcal{O}_{RR}^S + x \mathcal{O}_{RR}^T$	✓
S_1 LQ ($\bar{3}, 1, 1/3$) (RH fermions)	$\mathcal{O}_{RR}^S - x \mathcal{O}_{RR}^T, \ \mathcal{O}_{RR}^V$	
U_1^{μ} LQ $(3, 1, 2/3)$ (RH fermions)	$\mathcal{O}^S_{LR}, \mathcal{O}^V_{RR}$	✓

Mediator	Operator Combination	Viability	
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S_1 LQ $(\bar{3}, 1, 1/3)$ (LH fermions)	$\mathcal{O}_{LL}^S - x \mathcal{O}_{LL}^T, \ \mathcal{O}_{LL}^V$	1	
U_1^{μ} LQ $(3, 1, 2/3)$ (LH fermions)	$\mathcal{O}^{S}_{RL}, \mathcal{O}^{V}_{LL}$	\checkmark	
$R_2 LQ (3, 2, 7/6)$	$\mathcal{O}_{LL}^S + x \mathcal{O}_{LL}^T$	✓	
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ſ	S_1 LQ $(\bar{3}, 1, 1/3)$ (LH fermions)	$\mathcal{O}_{LL}^S - x \mathcal{O}_{LL}^T, \ \mathcal{O}_{LL}^V$	1	Only leptoquarks
	U_1^{μ} LQ $(3, 1, 2/3)$ (LH fermions)	$\mathcal{O}^S_{RL}, ~~ \mathcal{O}^V_{LL}$	\checkmark	are viable
l	$R_2 \ { m LQ} \ (3,2,7/6)$	$\mathcal{O}_{LL}^S + x \mathcal{O}_{LL}^T$	\checkmark	with SM neutrinos
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	$ ilde{R}_2 \; { m LQ} \; (3,2,1/6)$	$\mathcal{O}_{RR}^S + x \mathcal{O}_{RR}^T$	\checkmark	
	$S_1 \text{ LQ } (\bar{3}, 1, 1/3) \text{ (RH fermions)}$	$\mathcal{O}_{RR}^S - x \mathcal{O}_{RR}^T, \ \mathcal{O}_{RR}^V$	\checkmark	
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	$S_3 \; { m LQ} \; (ar{3}, 3, 1/3)$	\mathcal{O}_{LL}^V	$\bigstar (Br (B \to X_s \nu \nu))$	
	U^{μ}_{3} LQ $(3, 3, 2/3)$	\mathcal{O}_{LL}^V	$\bigstar (Br (B \to X_s \nu \nu))$	
	V_2^{μ} LQ $(\bar{3}, 2, 5/6)$	\mathcal{O}^S_{RL}	$(R_{D^{(*)}} \text{ value})$	
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ſ	$W^{\prime\mu}$ (RH fermions)	\mathcal{O}_{RR}^V	✓	W' and
	$ ilde{R}_2 \; { m LQ} \; (3,2,1/6)$	$\mathcal{O}_{RR}^S + x \mathcal{O}_{RR}^T$	\checkmark	leptoquarks are
	$S_1 \text{ LQ } (\bar{3}, 1, 1/3) \text{ (RH fermions)}$	$\mathcal{O}_{RR}^S - x \mathcal{O}_{RR}^T, \ \mathcal{O}_{RR}^V$	\checkmark	both viable with
	U_1^{μ} LQ (3, 1, 2/3) (RH fermions)	$\mathcal{O}^S_{LR}, ~~\mathcal{O}^V_{RR}$	 Image: A set of the set of the	RH neutrinos!





Tree-level FCNCs!



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Need 3rd generation dominance

 $\epsilon \sim V_{cb}$





Strong constraints from $Z' \rightarrow \tau \tau$ resonance searches rule out these models! Faroughy et al 1609.07138, Crivellin et al 1703.09226

W' with RH neutrinos: no problem!

W' coupling to RH neutrinos avoids these problems



No FCNCs. Don't need 3rd generation dominance — no enhancement of $Z' \rightarrow \tau \tau$ production!





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Unlike C^{V}_{LL} , lack of interference with SM means a larger Wilson coefficient is required.

 Collider constraints are still not negligible.

UV model

Basic idea:
$$SU(2)_V \times U(1)_X \to U(1)_Y \qquad \langle \phi' \rangle \sim \mathcal{O}(\text{TeV})$$

W' couples to RH fermions through mixing with additional vector-like fermions charged under $SU(2)_V \times U(1)_X$



UV model

	Generations	SU(3)	$SU(2)_L$	$SU(2)_V$	$U(1)_X$
ϕ	1	1	2	1	1/2
q_L	3	3	2	1	1/6
u_R	3	3	1	1	2/3
d_R	3	3	1	1	-1/3
ℓ_L	3	1	2	1	-1/2
e_R	3	1	1	1	-1
ν_R	1	1	1	1	0
ϕ'	1	1	1	2	1/2
Q	N_V	3	1	2	1/6
L	N_V	1	1	2	-1/2

 $-\mathcal{L} \supset M_Q \bar{Q}_L Q_R + M_L \bar{L}_L L_R + m_{\nu_R} \nu_R \nu_R$ $+ \tilde{y}^d \bar{Q}_L \phi' b_R - \tilde{y}^u \bar{Q}_L \phi'^* c_R + \tilde{y}^e \bar{L}_L \phi' \tau_R - \tilde{y}^n \bar{L}_L \phi'^* \nu_R + \text{h.c.}$

Constraints on the model

FCNCs:

• eliminated at tree-level and one-loop order — no coupling of W',Z' to s or d quarks!

Precision EW:

• Use most stringent EW constraints (G_F , α_{EM} , m_Z) to fix parameters of the model. Then no longer have freedom to fix m_W and fermion couplings.

Find that only the former sets a significant bound:

$$m_{W'}g_V \gtrsim 0.97 \text{ TeV}$$

Collider searches:

• Significant constraints from searches for Z'
ightarrow au au see Admir'

$$W' \to \tau \nu$$

see Admir's talk tomorrow for an update

Need light VL-leptons to broaden Z' resonance and dilute Z' BR...

Collider constraints



gray: mW EWP constraint purple: ATLAS 36/fb $Z' \rightarrow \tau \tau$ (estimated)

[Slightly stronger limits from ATLAS 36/fb W' $\rightarrow \tau v$ (Greljo et al 1804.04642)]

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How can we tell all these models apart?

Signatures of LH vs RH neutrinos

Recent work: tau asymmetries at Belle II! Asadi, Buckley & DS 1810.06597

Large literature on this...

Tanaka 9411405 Tanaka & Watanabe 1005.4306, 1212.1878 Fajfer et al 1203.2654 Sakaki & Tanaka 1205.4908 Datta et al 1206.3760 Duraisamy & Datta 1302.7031 Ivanov et al 1508.02678,1701.02937 Becirevic et al 1602.03030 Alonso et al 1602.07671, 1702.02773 Alok et al 1606.03164, 1804.08078 Bardhan et al 1610.03038 Celis et al 1612.07757 Huang et al 1808.03565

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Our work

- Includes RH neutrinos
- Focuses on mediators, not effective operators
- Takes into account experimental feasibility and projected sensitivity



Tau asymmetries

One measurement of P_{τ}^* by Belle (2016):

 P_{τ}^{*} = -0.38 ± 0.51 ± 0.2

Huge error bars.

Proposal by Alonso, Camalich & Westhoff 1702.02773 for how to measure asymmetries in D mode with improved precision

Observable	\mathcal{A}_{FB}	\mathcal{A}^*_{FB}	$\mathcal{P}_{ au}$	$\mathcal{P}^*_{ au}$	\mathcal{P}_{\perp}	\mathcal{P}^*_\perp	\mathcal{P}_T	\mathcal{P}_T^*
SM value	-0.366	0.0701	0.333	-0.501	-0.858	-0.475	0	0
Projected Precision [36]	10%	_	3%	_	10%	_	_	_







Figure 9: The \mathcal{P}_T and \mathcal{P}_T^* observables for the points from Fig. 8 that are less than 1σ apart according to our χ^2 constructed from all the CP-even observables. The green (red) points correspond to S_1 LQs coupled to LH (RH) neutrinos. Notice the identical slope of the lines, which is a consequence of the symmetry outlined in (3.1)–(3.2). If these CP-odd asymmetries can even be measured, and with enough experimental precision, then they will be able to distinguish between the LH and RH neutrino cases.

CP-odd asymmetries may play a crucial role in resolving the most difficult degeneracies.

Currently no substantiative proposal for how to measure these at Belle II.

Summary and Outlook

The invisible energy in the B decays of the RD/RD* anomalies might not be entirely from SM neutrinos.

Allowing for light, sterile RH neutrinos in the B decays opens up new avenues for model building and phenomenology.

• In particular, it allows for models with W' mediators which would otherwise be ruled out by direct collider searches.

Various tau asymmetries (FB, polarization) are measurable at Belle II and should allow us to distinguish between models with LH and RH neutrinos.

- tau asymmetries in the D* mode?
- D* polarization asymmetries?
- prospects at LHCb?
- CP-odd asymmetries?

Thanks for your attention!