The background of the slide is a Cosmic Microwave Background (CMB) fluctuation map, showing a blue-to-red color gradient with a central yellow/orange band. A large, dark blue, oval-shaped region is overlaid on the map, containing the main title and author information. The map features a grid of dotted lines representing celestial coordinates.

Dark Matter: Where and What?

Tracy Slatyer



The Standard Model at 50: Successes and Challenges
46th SLAC Summer Institute
9 August 2018

Goals

- Explain the arguments for dark matter, and what we know about its properties.
- Discuss the range of possibilities for dark matter, and how we might test different scenarios. Some examples:
 - Black holes
 - Thermal scenarios - e.g. WIMPs
 - Ultralight bosonic DM - e.g. axions

The missing mass

- Zwicky, 1933: estimated the mass in a galaxy cluster in two ways.

Method 1

Estimate mass from mass-to-light ratio, calibrated to local system.

- Count galaxies
- Add up total luminosity
- Convert to mass using mass-to-light ratio of ~ 3 , calibrated from local Kapteyn stellar system.

Mass estimate 1

Method 2

Use virial theorem + measurements of galaxy velocities to estimate gravitational potential, and hence infer mass.

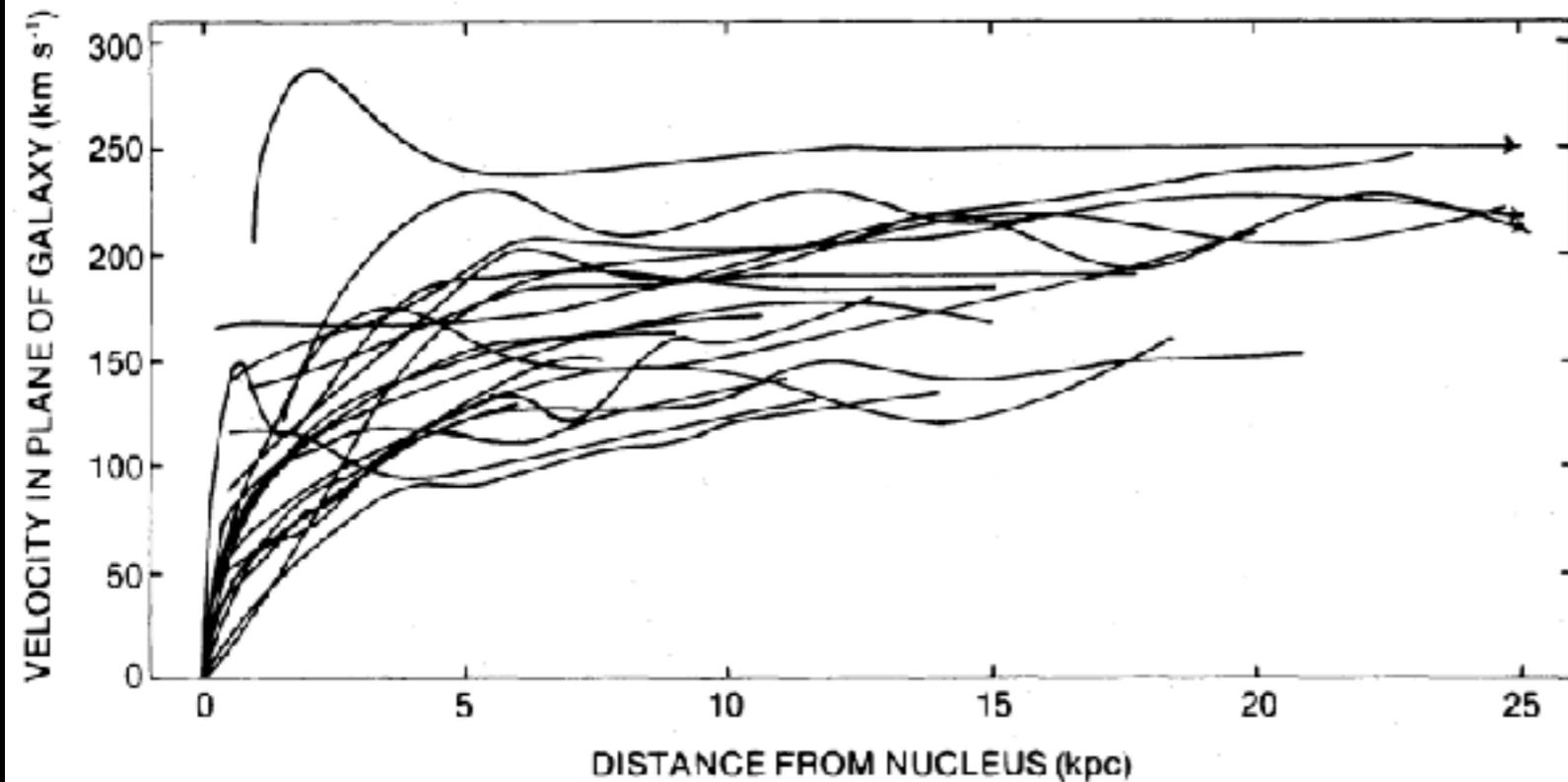
Galactic velocities measured by Doppler shifts

$$\text{KE} = -\frac{1}{2}\text{PE} \quad \text{in equilibrium}$$

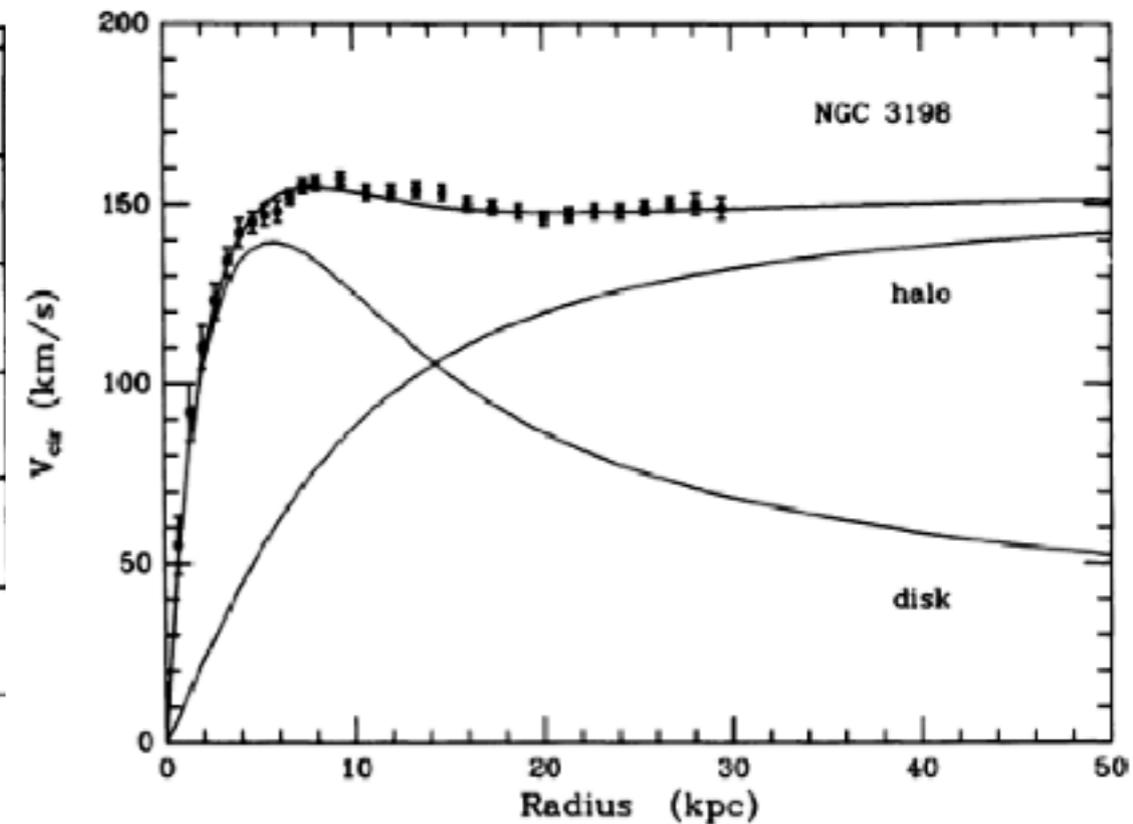
Mass estimate 2

- These numbers are different by 2+ orders of magnitude (second one is larger).
- One possibility: there is (lots of) gravitating non-luminous matter.

Dark matter in galaxies...



Rubin, Ford & Thonnard, 1980



van Albada, T. S., Bahcall, J. N., Begeman, K., & Sancisi, R., 1985

- Rubin, Ford & Thonnard 1980 (following work in the 1970s): galactic rotation curves are flat, not falling as one would expect if mass was concentrated in the bulge at the Galactic center.
- Modified gravity? Or some “dark” unseen matter? If the latter, needs to extend to much larger radii than the observed Galactic disk - “dark halo”.

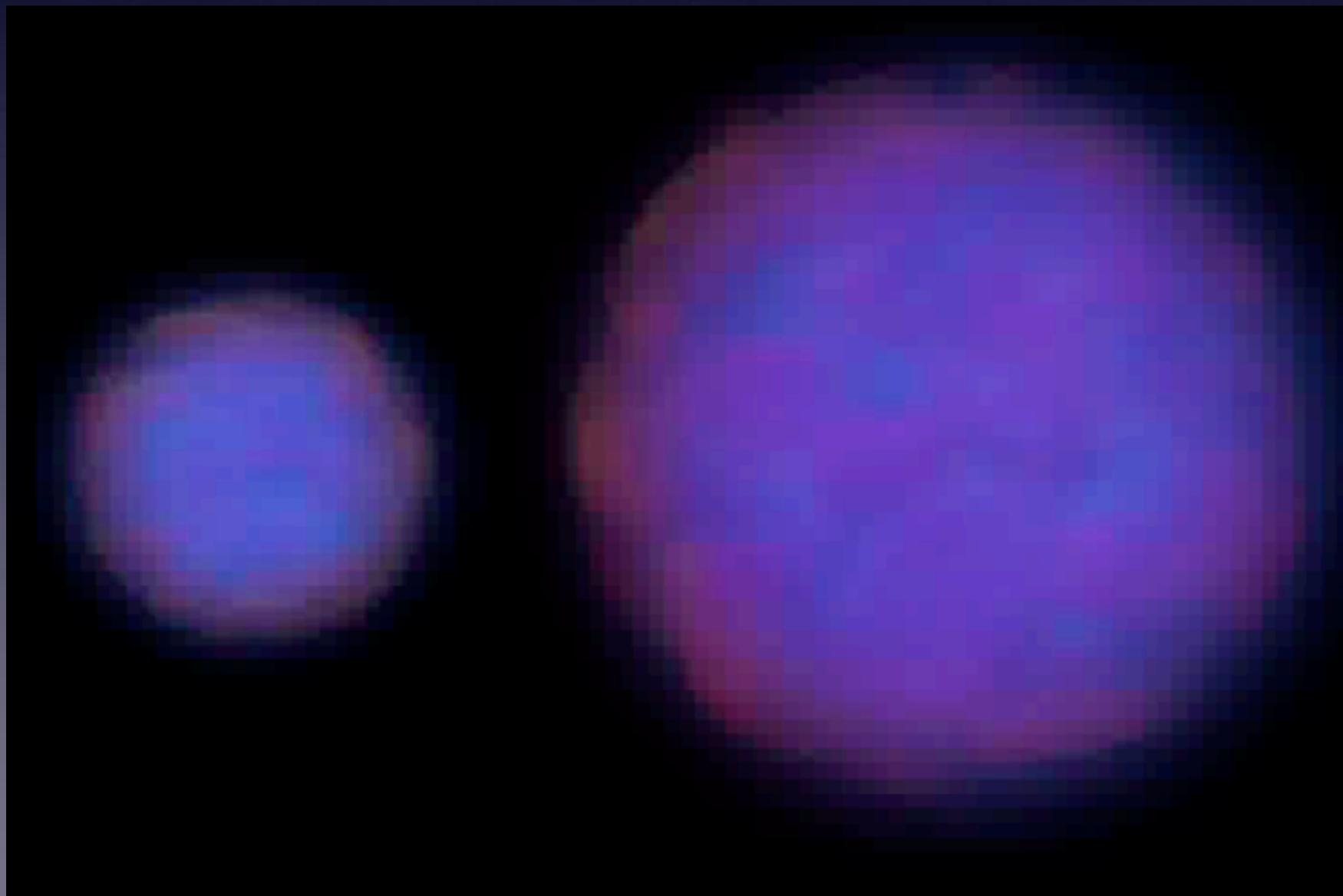
$$\frac{v^2}{r} = \frac{GM(r)}{r^2}$$
$$M(r) = M \Rightarrow v \propto \frac{1}{\sqrt{r}}$$
$$M(r) \propto r \Rightarrow v \text{ constant}$$

... or a change to gravity?

- Perhaps gravity is different on Galactic scales - doesn't weaken as quickly as expected with distance. How can we tell this apart from dark matter?
- Problem: dark matter and luminous matter are gravitationally bound to each other - tend to clump in the same places.
- But we know dark matter (if it exists) does not interact with the same strength as ordinary matter, or it would form its own disk (rather than halo).
- Solution: look at systems where galaxy clusters are colliding.

Dark matter in colliding clusters

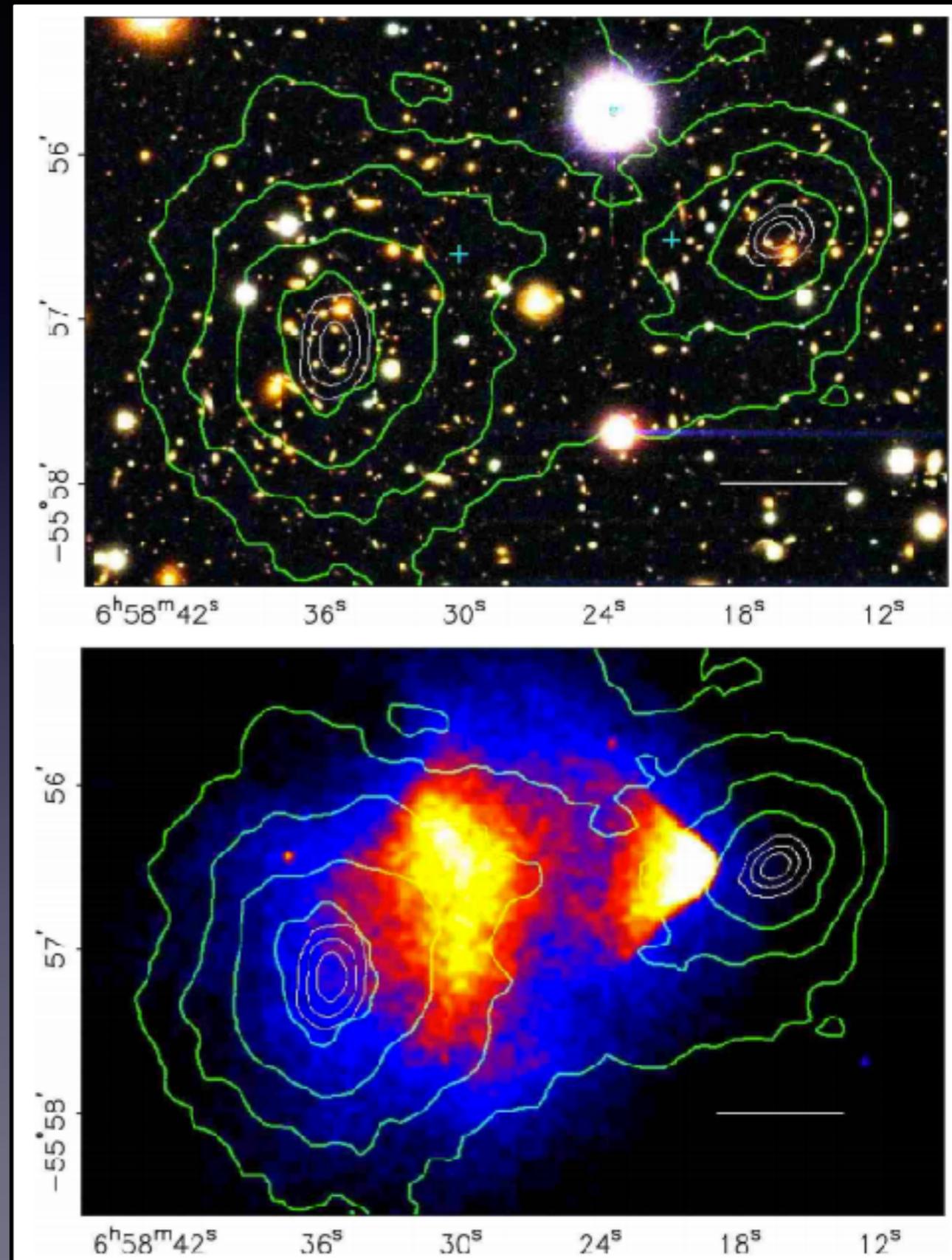
- When clouds of gas collide, there is compression and heating, producing X-ray radiation as the gas clouds slow down and heat up.
- But we believe dark matter doesn't interact and collide like ordinary matter - clouds of dark matter might pass straight through each other!



- Thus collisions could potentially separate the **dark matter** (and its gravitational pull) from the **visible matter** (shining in X-rays).

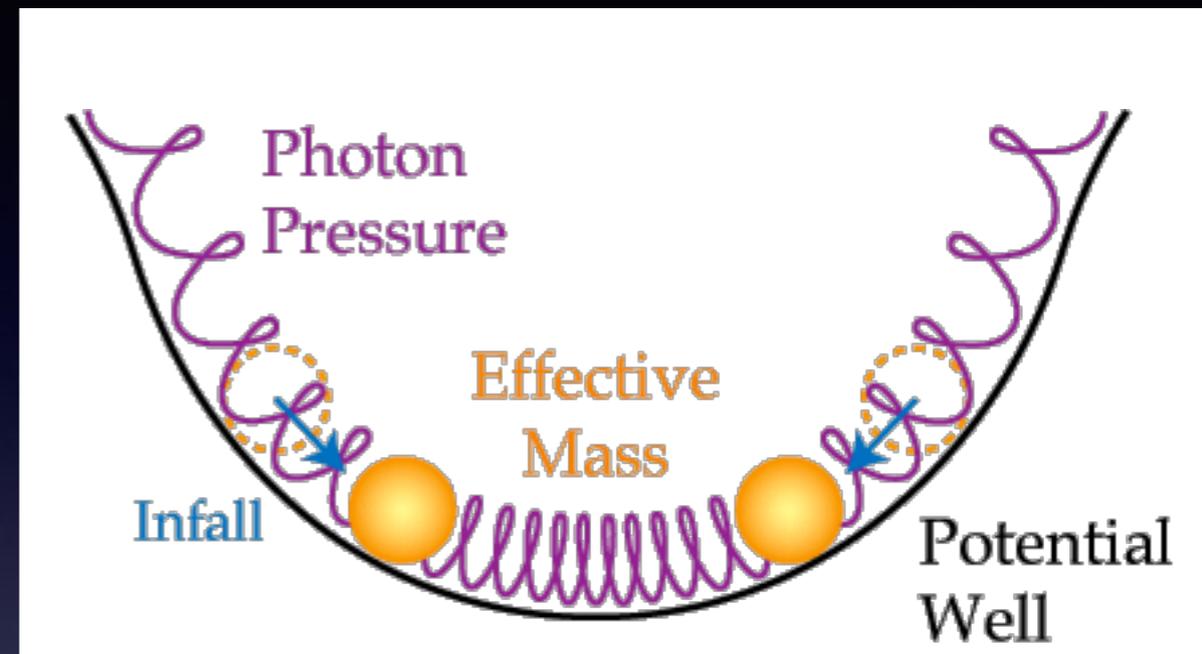
Filtering out the dark matter

- Clowe et al 2006: studied the Bullet Cluster, system of two colliding clusters.
 - X-ray maps from CHANDRA to study distribution of hot plasma (main baryonic component).
 - Weak gravitational lensing to study mass distribution.
- Result: a substantial displacement between the two.
- Attributed to a collisionless cold dark matter component. When the clusters collided, the dark matter halos passed through each other without slowing down - unlike the gas.
- Can be used to set upper limits on degree of dark matter self-interaction (however, early limits likely too strong [Robertson et al '16].)

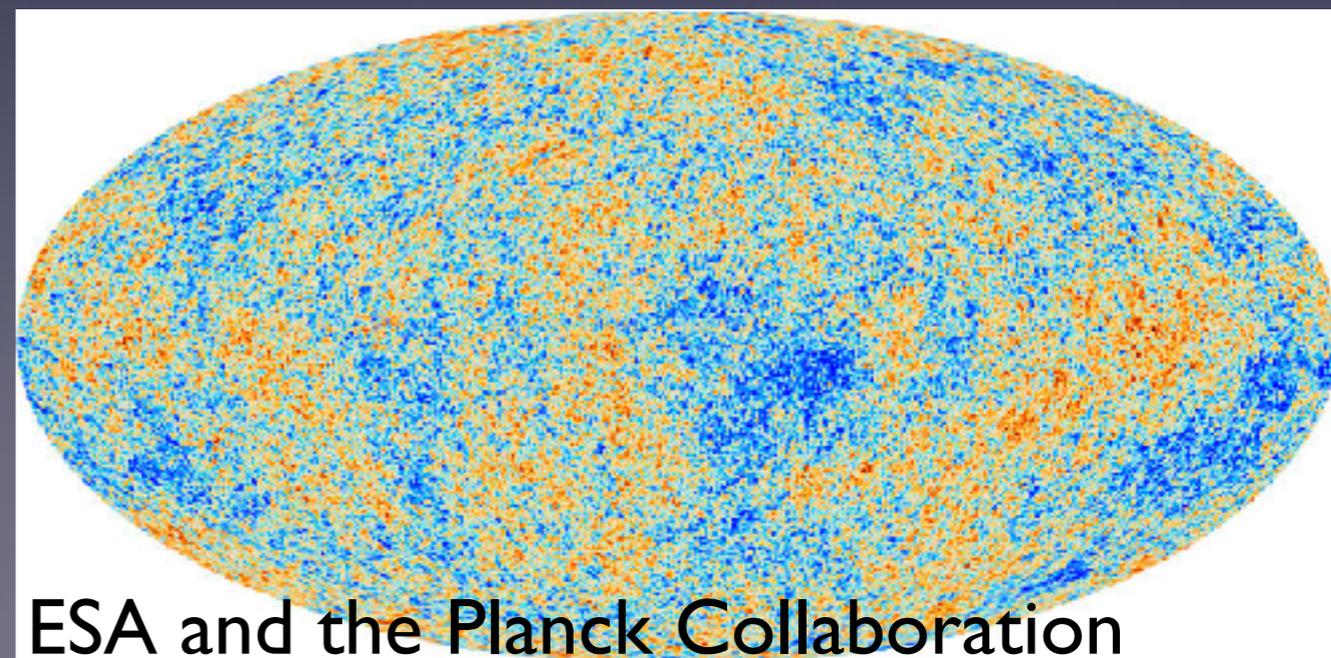


Dark matter in cosmic history

- When universe was $\sim 400\,000$ years old, it was a nearly-homogeneous bath of photons, electrons, protons and dark matter.
- Density/temperature oscillations driven by gravity on one hand, radiation pressure on the other.
- The cosmic microwave background radiation consists of photons that last scattered at this time. Subsequently universe became neutral and \sim transparent.



Wayne Hu,
<http://background.uchicago.edu/~whu/>



ESA and the Planck Collaboration

CMB anisotropies

- Photon temperature anisotropies today provide a “snapshot” of temperature/density inhomogeneities at recombination.
- Peaks occur at angular scales corresponding to a harmonic series based on the sound horizon at recombination.

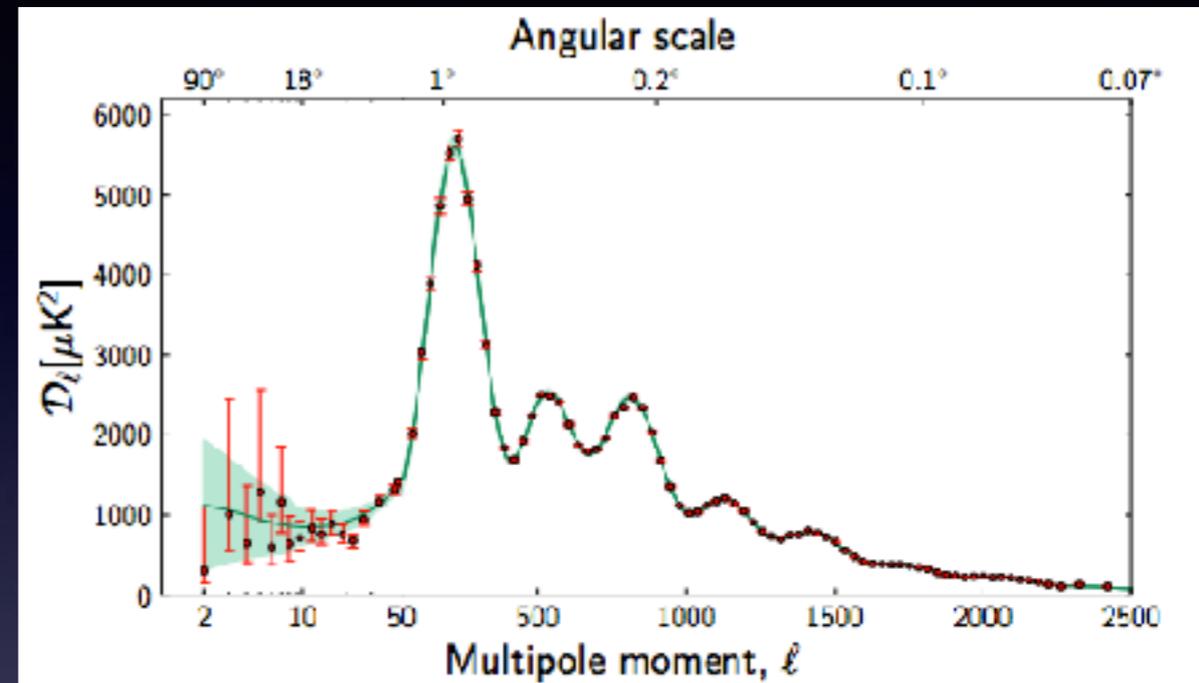


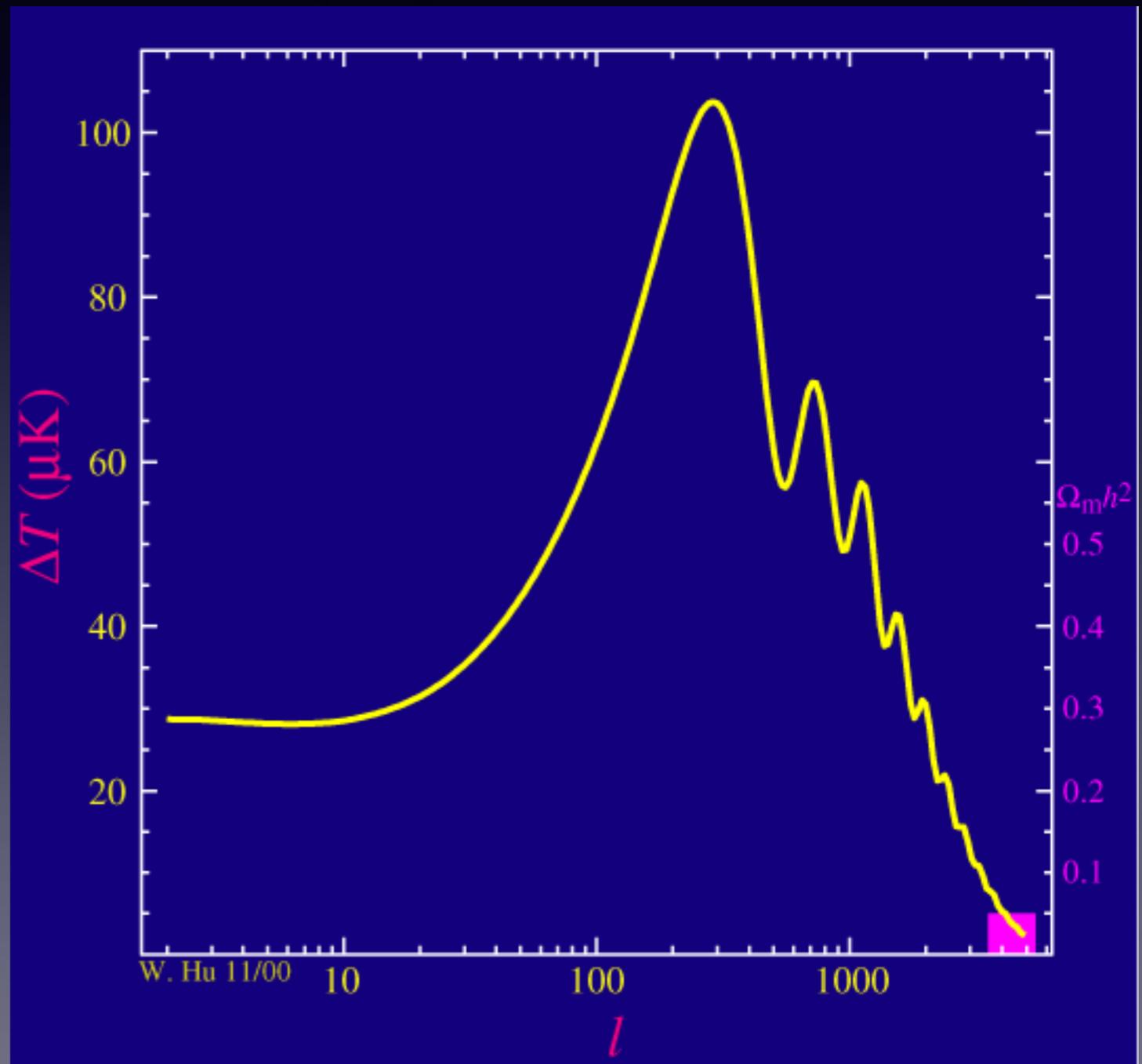
Figure 37. The 2013 *Planck* CMB temperature angular power spectrum. The error bars include cosmic variance, whose magnitude is indicated by the green shaded area around the best fit model. The low- l values are plotted at 2, 3, 4, 5, 6, 7, 8, 9.5, 11.5, 13.5, 16, 19, 22.5, 27, 34.5, and 44.5.

Table 8. Constraints on the basic six-parameter Λ CDM model using *Planck* data. The top section contains constraints on the six primary parameters included directly in the estimation process, and the bottom section contains constraints on derived parameters.

Parameter	<i>Planck</i>		<i>Planck</i> +WP	
	Best fit	68% limits	Best fit	68% limits
$\Omega_b h^2$	0.022068	0.02207 ± 0.00015	0.022052	0.02205 ± 0.00018
$\Omega_c h^2$	0.11979	0.1196 ± 0.003	0.11978	0.1199 ± 0.007
$100\theta_{MC}$	1.04122	1.04132 ± 0.00068	1.04119	1.04131 ± 0.00063
τ	0.0925	0.097 ± 0.008	0.0925	$0.089^{+0.011}_{-0.011}$
n_s	0.9620	0.956 ± 0.0094	0.9619	0.9603 ± 0.0072
$\ln(10^{10} A_s)$	3.098	3.101 ± 0.077	3.0980	$3.090^{+0.031}_{-0.027}$
Ω_m	0.3175	0.314 ± 0.020	0.3180	$0.315^{+0.015}_{-0.015}$
σ_8	0.8390	0.834 ± 0.027	0.8347	0.829 ± 0.012
z_{dr}	11.35	$11.4^{+2.1}_{-2.1}$	11.37	11.1 ± 1.1
θ_s	57.11	67.4 ± 1.4	57.04	67.3 ± 1.2
$10^4 A_s$	2.215	2.23 ± 0.16	2.215	$2.196^{+0.081}_{-0.060}$
$\Omega_b h^2$	0.14700	0.1473 ± 0.0079	0.14706	0.1476 ± 0.0075
Age/Gyr	13.819	13.813 ± 0.058	13.8202	13.817 ± 0.048
z_{*}	1090.43	1090.37 ± 0.65	1090.48	1090.43 ± 0.54
$100\theta_s$	1.04139	1.04148 ± 0.00066	1.04136	1.04147 ± 0.00062
z_{eq}	3402	3386 ± 69	3403	3391 ± 60

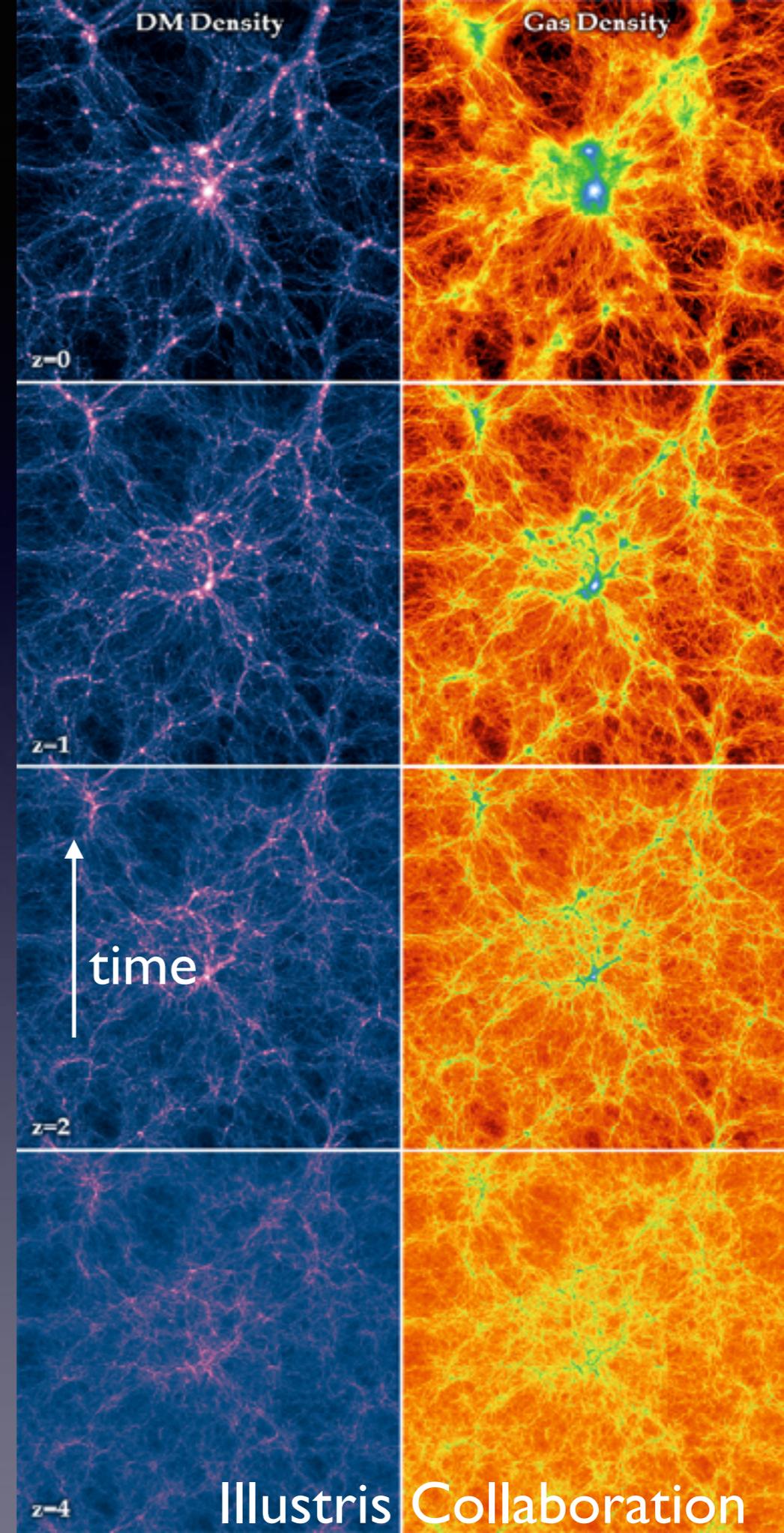
Measuring the dark matter content

- Fit to data is poor with just photons + visible matter.
- Add a dark component: does not experience radiation pressure, only gravity.
- To match data, need a dark matter component with 5x more total mass than ordinary/baryonic matter.



Structure formation

- CMB also maps out initial conditions for cosmic structure formation.
- After the photons decouple from the baryons, overdensities continue to grow under gravity, eventually collapsing into virialized structures.

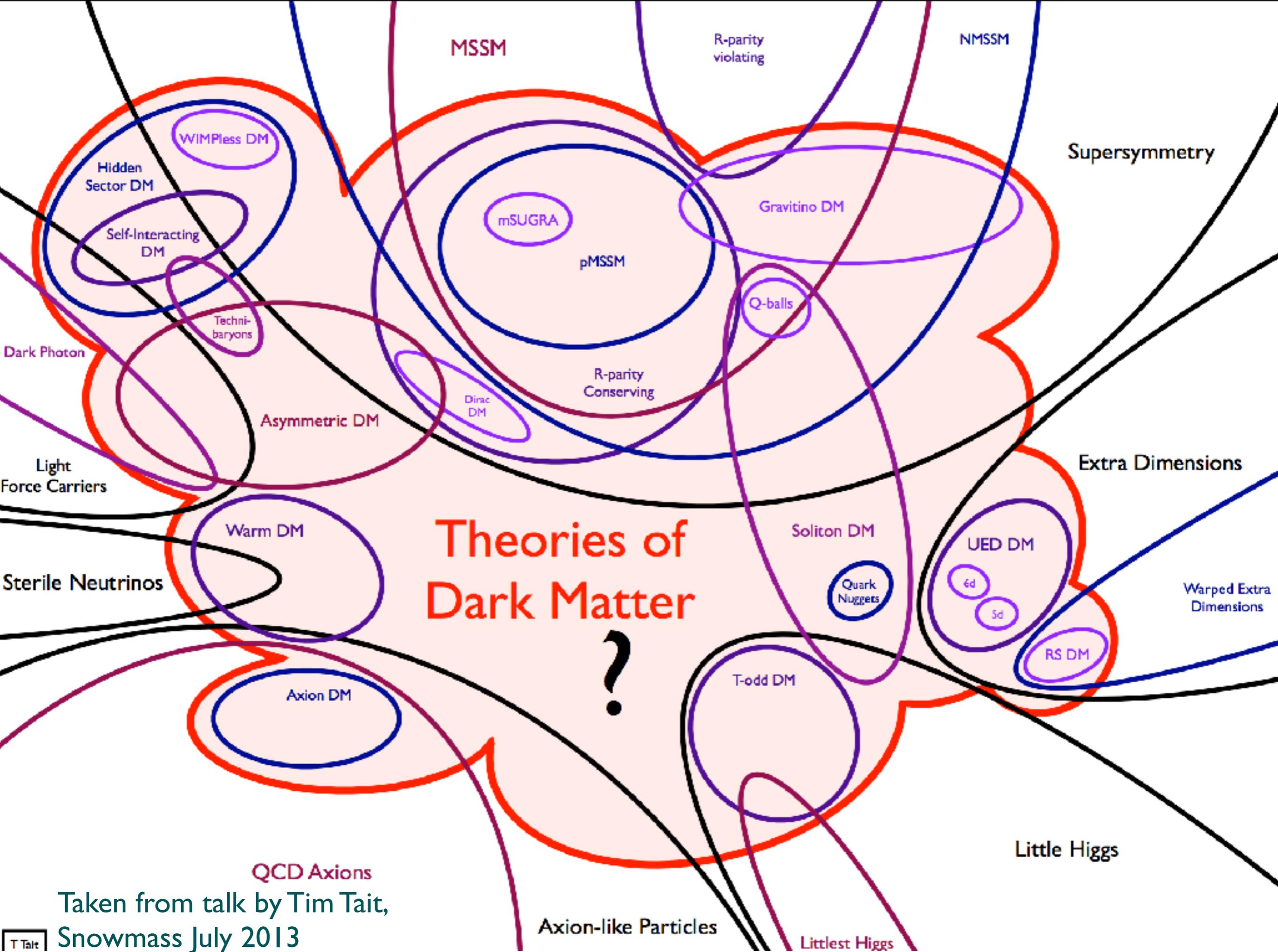


Hot or cold? (or warm)

- Structure formation varies markedly according to the kinematics of the dark matter, in particular whether it can free-stream during the growth of perturbations.
- If most DM is “hot” (relativistic during the early phases of structure formation), free-streaming erases structures on small scales. Large structures form first, then fragment.
- If most DM is “cold” (non-relativistic throughout this epoch), small clumps of DM form first, then accrete together to form larger structures.
- The relative ages of galaxies and clusters tell us that the bulk of DM must be cold - if dark matter was hot, galaxies would not have formed by the present day.
- Equivalently, hot dark matter predicts a low-mass cutoff in the matter power spectrum, that is not observed.
- Neutrinos are hot dark matter - but cannot be all the DM.

DM as new physics

- Standard Model (SM) of particle physics has been spectacularly successful - but no dark matter candidate. We need something:
 - Stable on cosmological timescales
 - Near-collisionless, i.e. electrically neutral
 - “Cold” or “warm” rather than “hot” - not highly relativistic when the modes corresponding to the size of Galactic dark matter halos first enter the horizon (around $z \sim 10^6$, temperature of the universe around 300 eV).
- Only stable uncharged particles are neutrinos, and they would be hot dark matter.
- DM is one of the most powerful pieces of evidence for physics beyond the SM.
- Everything we have learned so far has come from studying the gravitational effects of dark matter, or from its inferred distribution.



Theories of Dark Matter

?

MSSM

R-parity violating

NMSSM

Supersymmetry

WIMPIless DM

Hidden Sector DM

Self-Interacting DM

Technibaryons

mSUGRA

pMSSM

Gravitino DM

Q-balls

R-parity Conserving

Dirac DM

Asymmetric DM

Dark Photon

Light Force Carriers

Warm DM

Extra Dimensions

Sterile Neutrinos

Soliton DM

Quark Nuggets

UED DM

ϵ_d

S_d

Warped Extra Dimensions

RS DM

Axion DM

Todd DM

Little Higgs

QCD Axions

Axion-like Particles

Littlest Higgs

Taken from talk by Tim Tait, Snowmass July 2013

Dark matter models by mass

neutrinos

~eV

electrons

~keV

~MeV

protons, neutrons,
Higgs boson

~GeV

~TeV

~100 TeV



← ...
Down to 10^{-21} eV
Cold condensates

... →
> 10^{19} GeV
Primordial
black holes?

Dark matter models by mass

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generally nonthermal



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Cold condensates

if thermal,
generally
not pointlike
(unitarity)

... →

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~eV

electrons

~keV

~MeV

protons, neutrons
Higgs boson

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generally nonthermal

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Down to 10^{-21} eV
Cold condensates

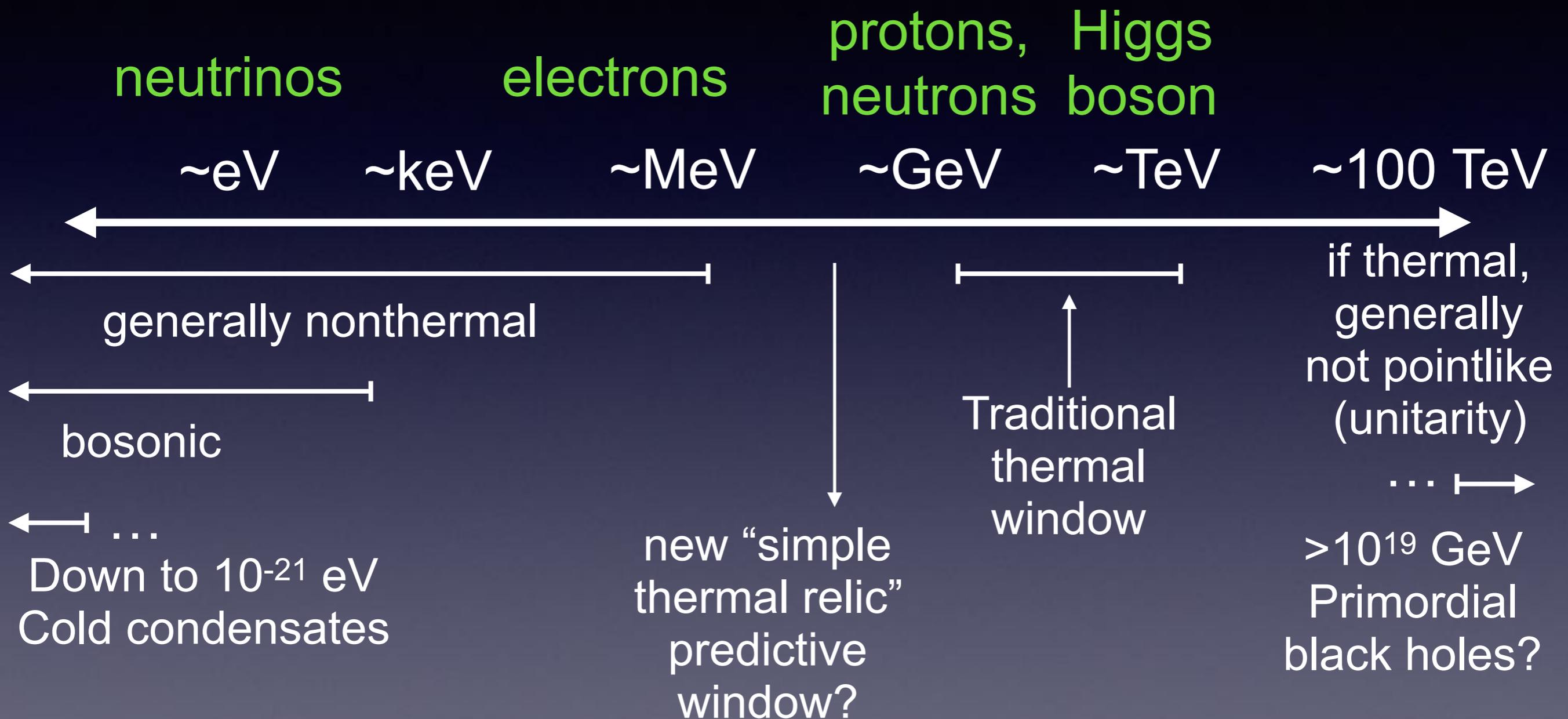
Traditional
thermal
window

if thermal,
generally
not pointlike
(unitarity)

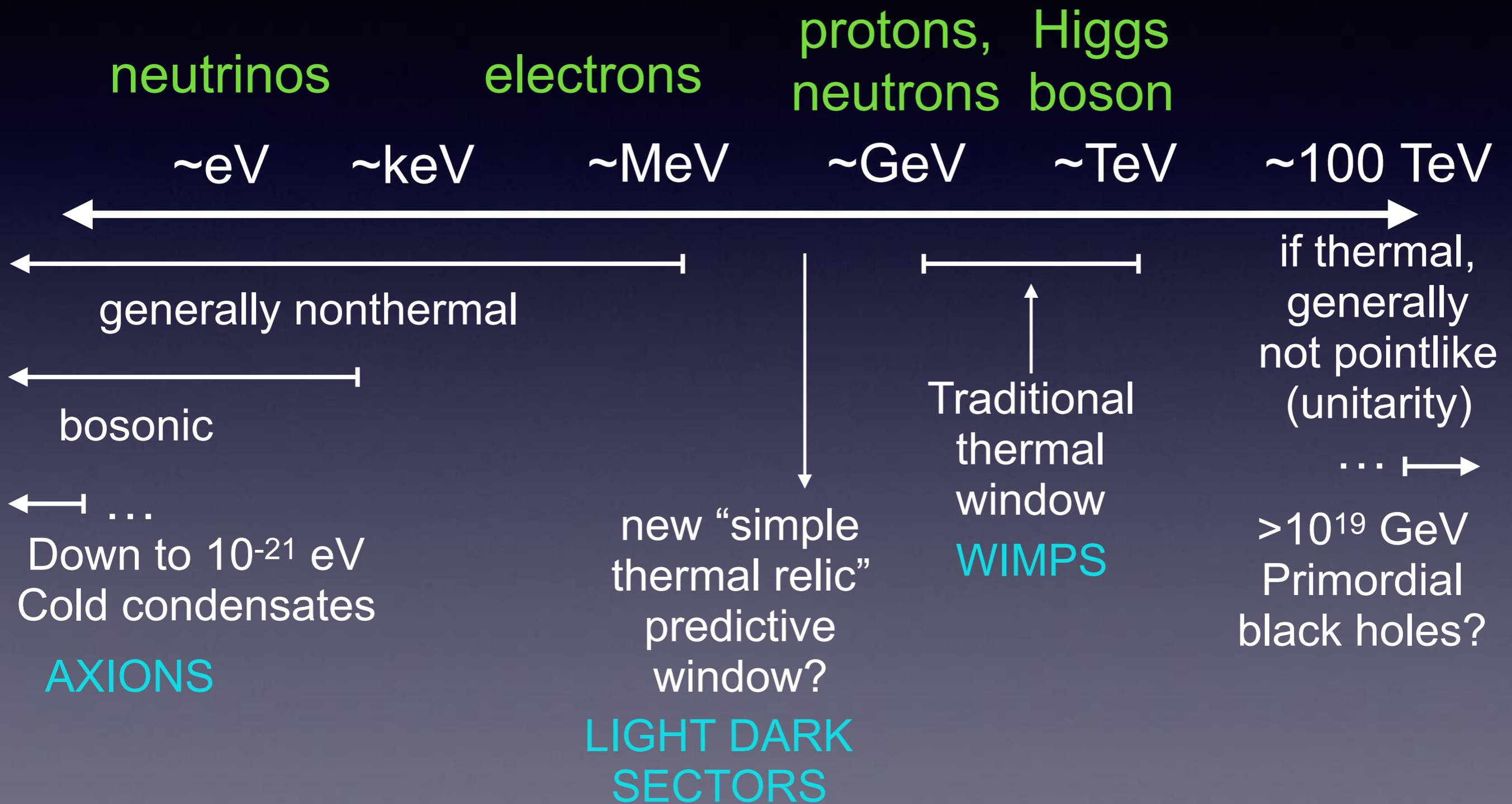
... →

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Primordial
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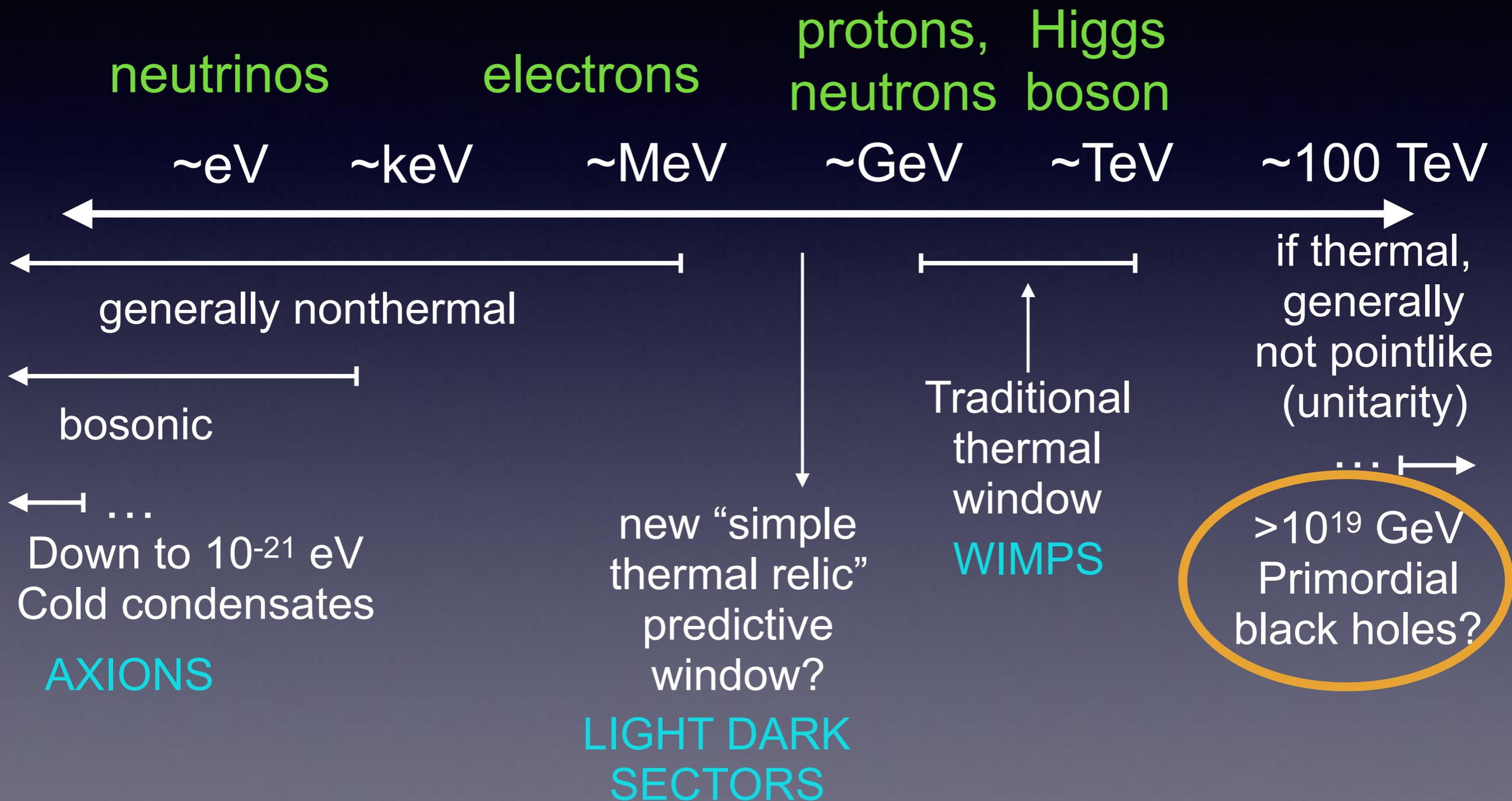
Dark matter models by mass



Dark matter models by mass



Dark matter models by mass



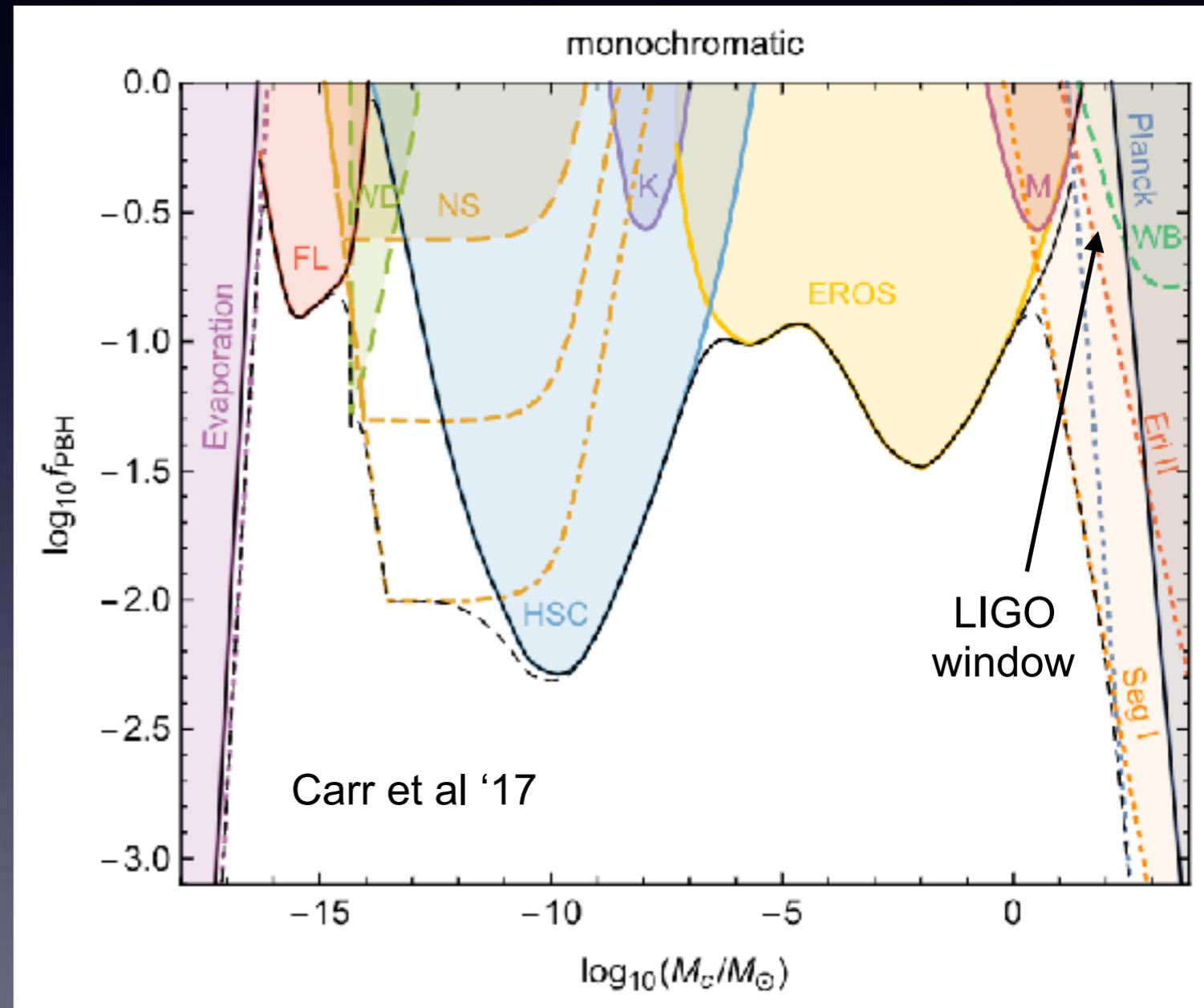
MACHOs

(MAssive Compact Halo Objects)

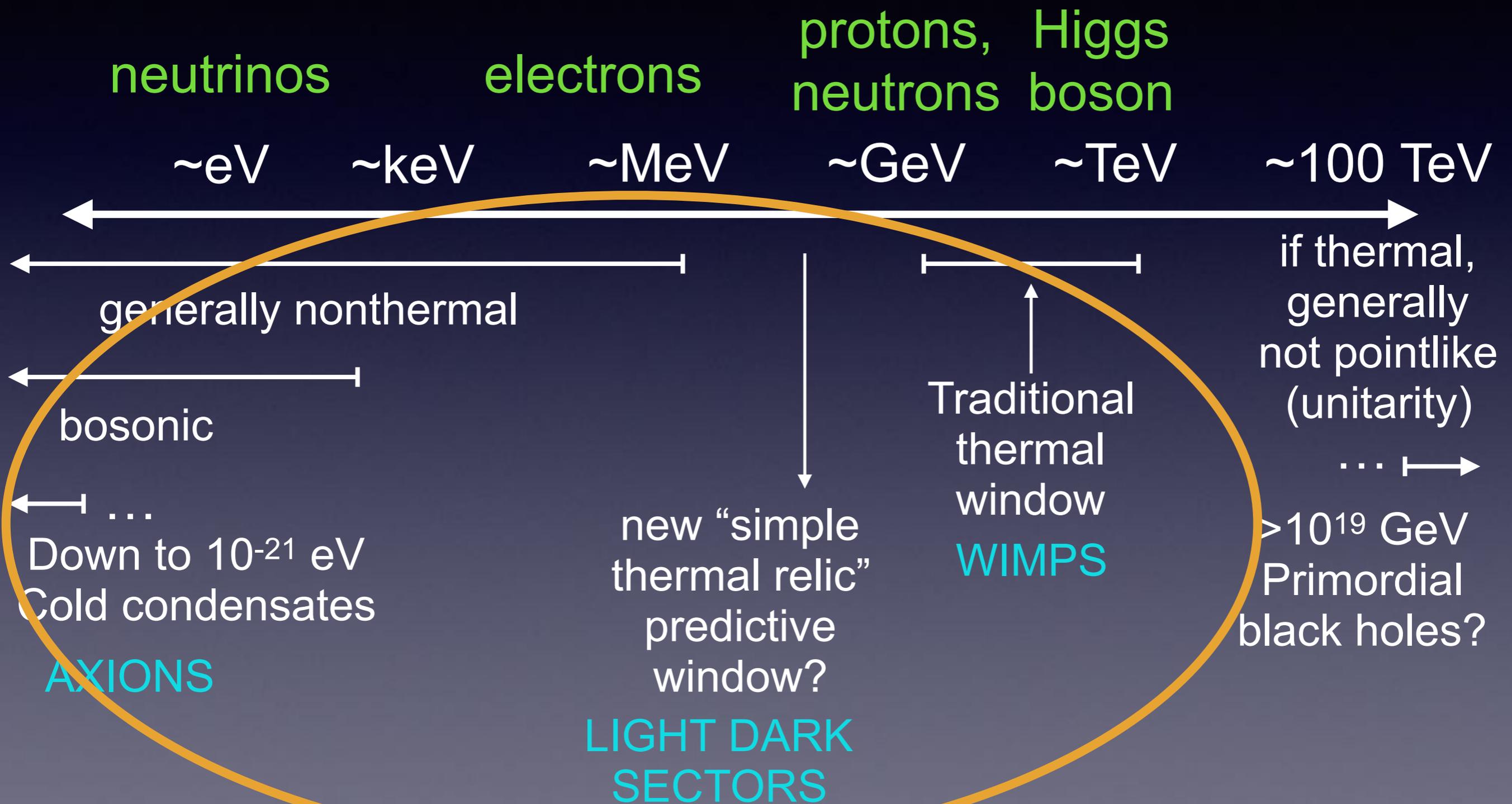
- Dark matter could be composed of macroscopic objects, e.g. stars or black holes.
- ~collisionless because they are rare, without long-range interactions (except gravity).
- Need to form very early in the universe, before CMB epoch.
- As a result, most-discussed candidate = primordial black holes (PBHs) formed in the very early universe, seeded by large perturbations after inflation.
- However, stringent constraints on this hypothesis - only a few small windows where PBHs could be an $O(1)$ fraction of DM.
- Production mechanism also an open research question.

Constraints on MACHOs

- At low masses (below ~ 5 solar masses), stringent constraints from microlensing searches.
- Above ~ 100 solar masses, black holes would disrupt loosely-bound stellar systems in our Galaxy [e.g. Monroy-Rodriguez and Allen '14].
- Debatably open window in the 5-100 solar mass range - many constraints, but with some loopholes [see e.g. talk by Kamionkowski, TeVPA 2017].



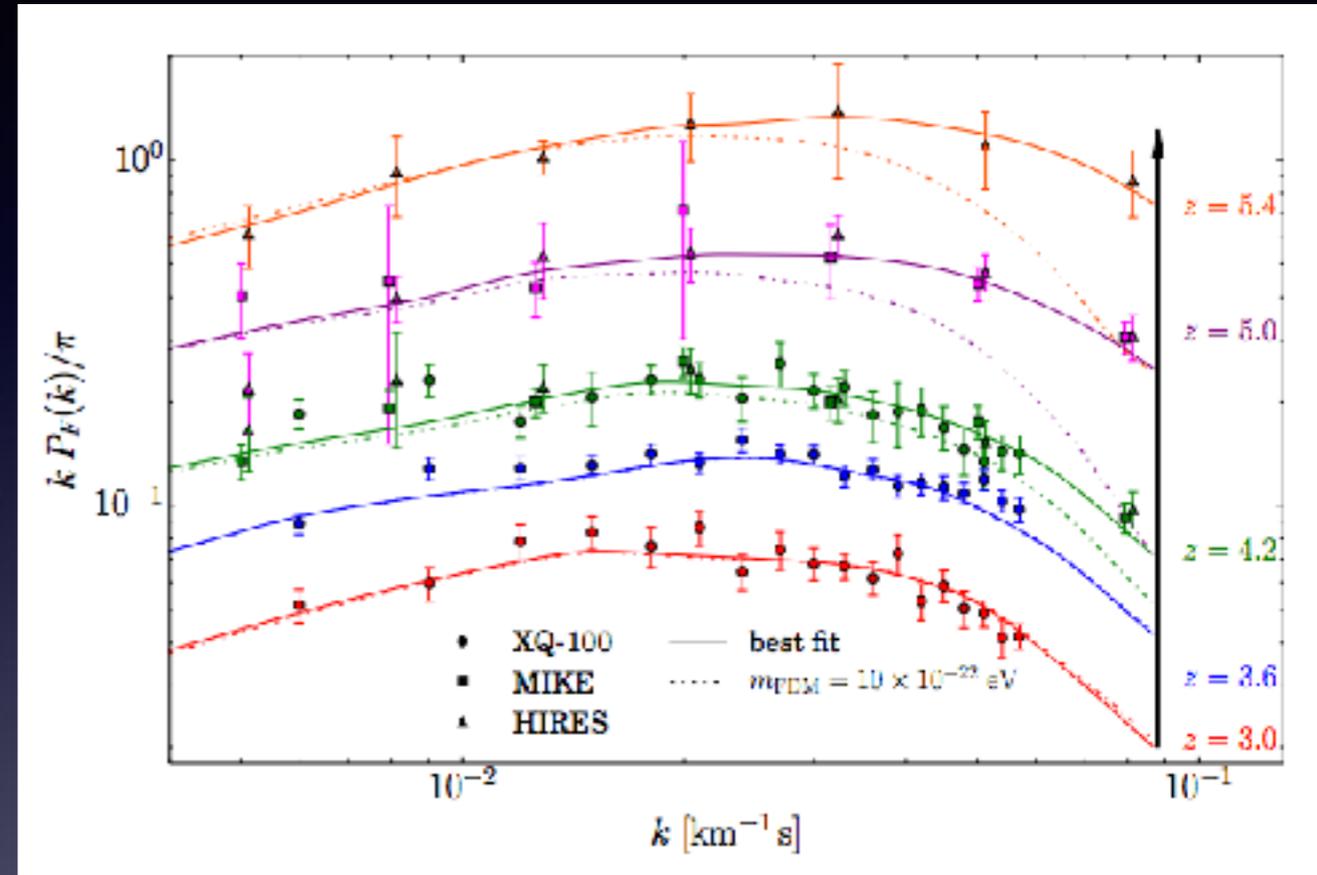
Dark matter models by mass



Below the Planck scale: particle dark matter

Irsic et al '17

- Enormous range of possibilities for dark matter as a new fundamental particle (or more than one).
- Model-independent lower mass limit comes from requiring de Broglie wavelength of DM $<$ smallest observed DM structures.
- Dwarf galaxies: size $O(\text{kpc})$, typical velocity dispersion $O(10)$ km/s.
- DM mass of 10^{-22} eV \Rightarrow de Broglie wavelength \sim kpc.
- Lower-mass DM would not allow for observed dwarf galaxies.
- Strongest limits arise from observations of the Lyman-alpha forest - probe of matter power spectrum at $z=2-6$.
- These bounds require the DM mass to be greater than $2-3 \times 10^{-21}$ eV [e.g. Irsic et al '17, Armengaud et al '17].
- To narrow down mass range further, need to specify further information about the model.



The Tremaine-Gunn bound

- Measurements of smallest DM clumps set additional limits on fermionic DM.
- Pauli exclusion principle limits maximum phase space density for fermions.
- Fermionic DM required to be heavier than ~ 0.4 keV if one species comprises all DM.

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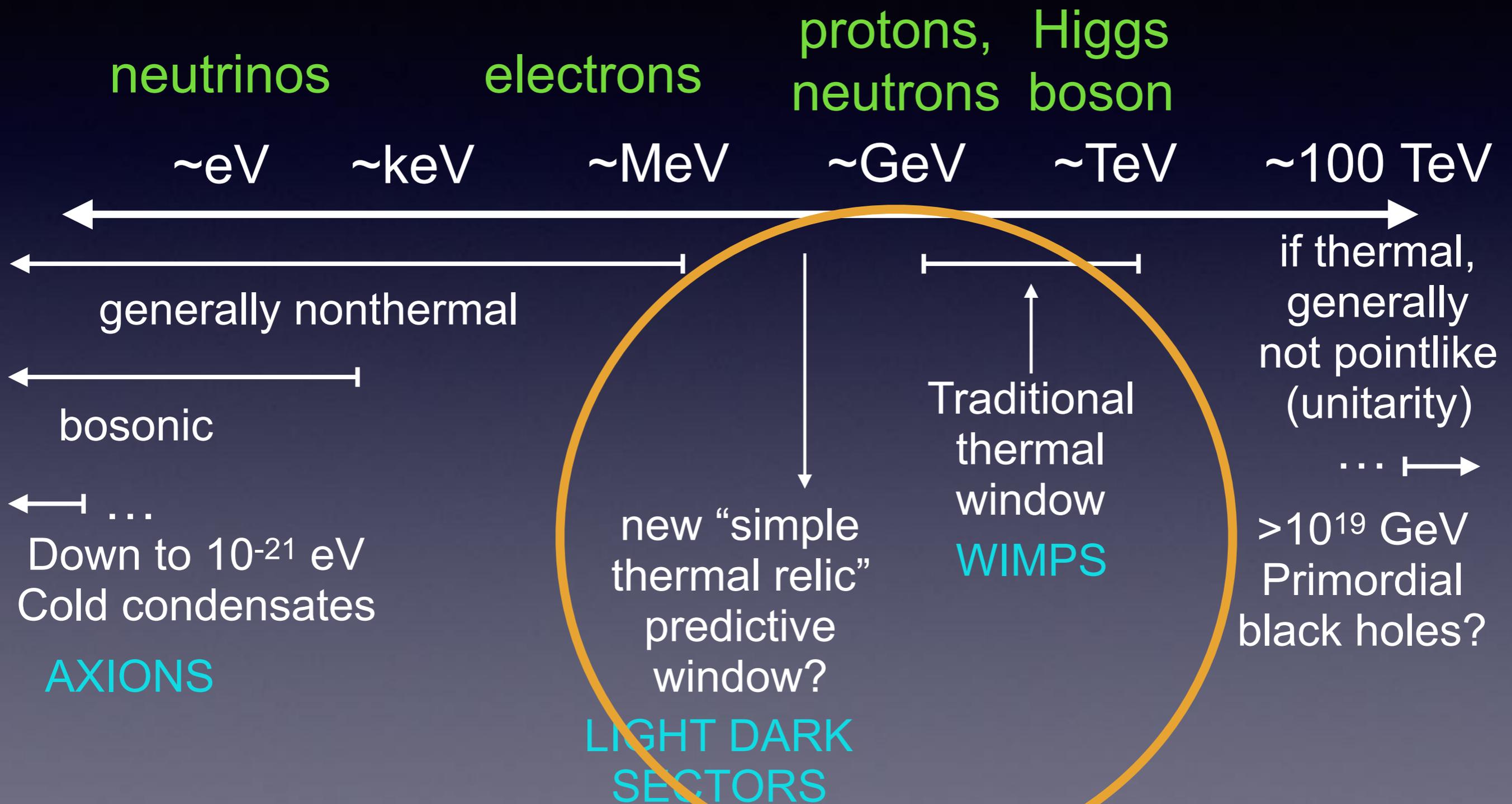
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More careful calculation gives minimum mass ~ 400 eV [Boyarsky et al '09]

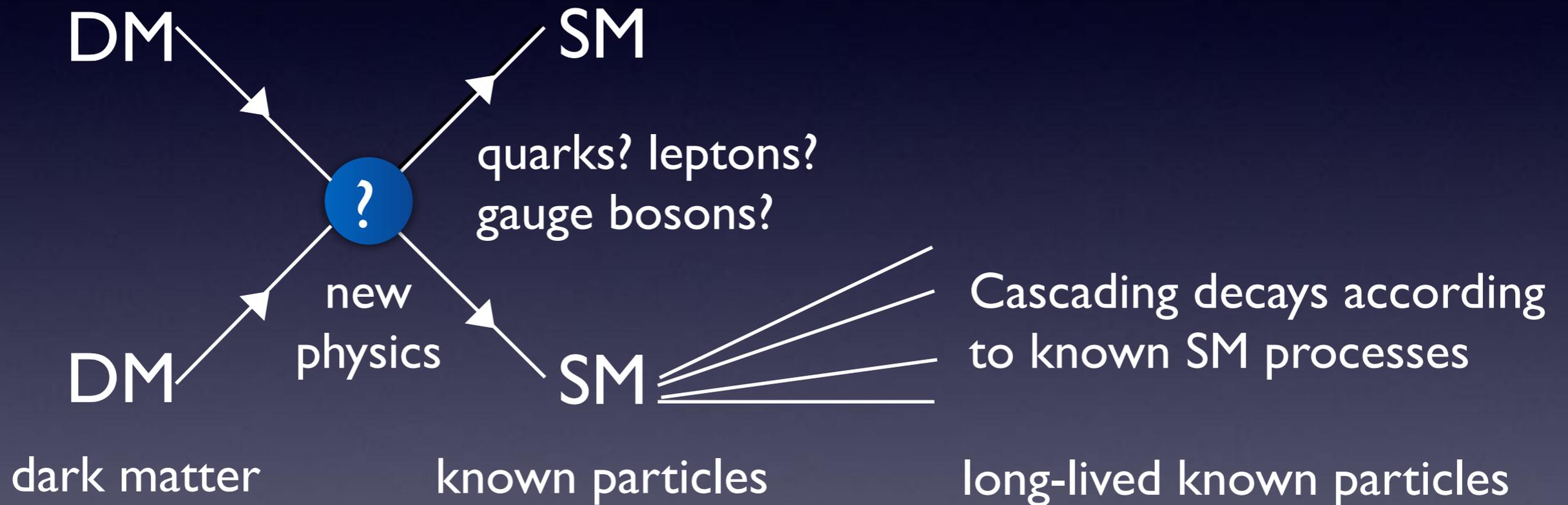
Dark matter models by mass



Thermal dark matter

- General class of scenarios: suppose DM was in thermal contact with visible matter in early universe, when temperature was \gg DM mass.
- DM-number-changing interactions between DM and visible matter, if they exist, will produce DM during this epoch.
 - # density comparable to photon # density $\sim T^3$
 - if DM does not reach full thermal equilibrium with Standard Model, abundance can be (much) smaller - “freeze-in” scenario [Hall et al '10].
- Photon number density today factor of $\sim 10^{10}$ greater than baryon density.
- If DM # density was still \sim photon # density, would overproduce observed amount of DM unless DM mass was < 1 eV. In this case thermal DM would be “hot dark matter”, and excluded.
- If DM reached full thermal equilibrium with SM, we need a way to deplete its abundance.

Dark matter annihilation



depletes DM density in the early universe

same process yields visible signatures in the present day

Thermal freezeout

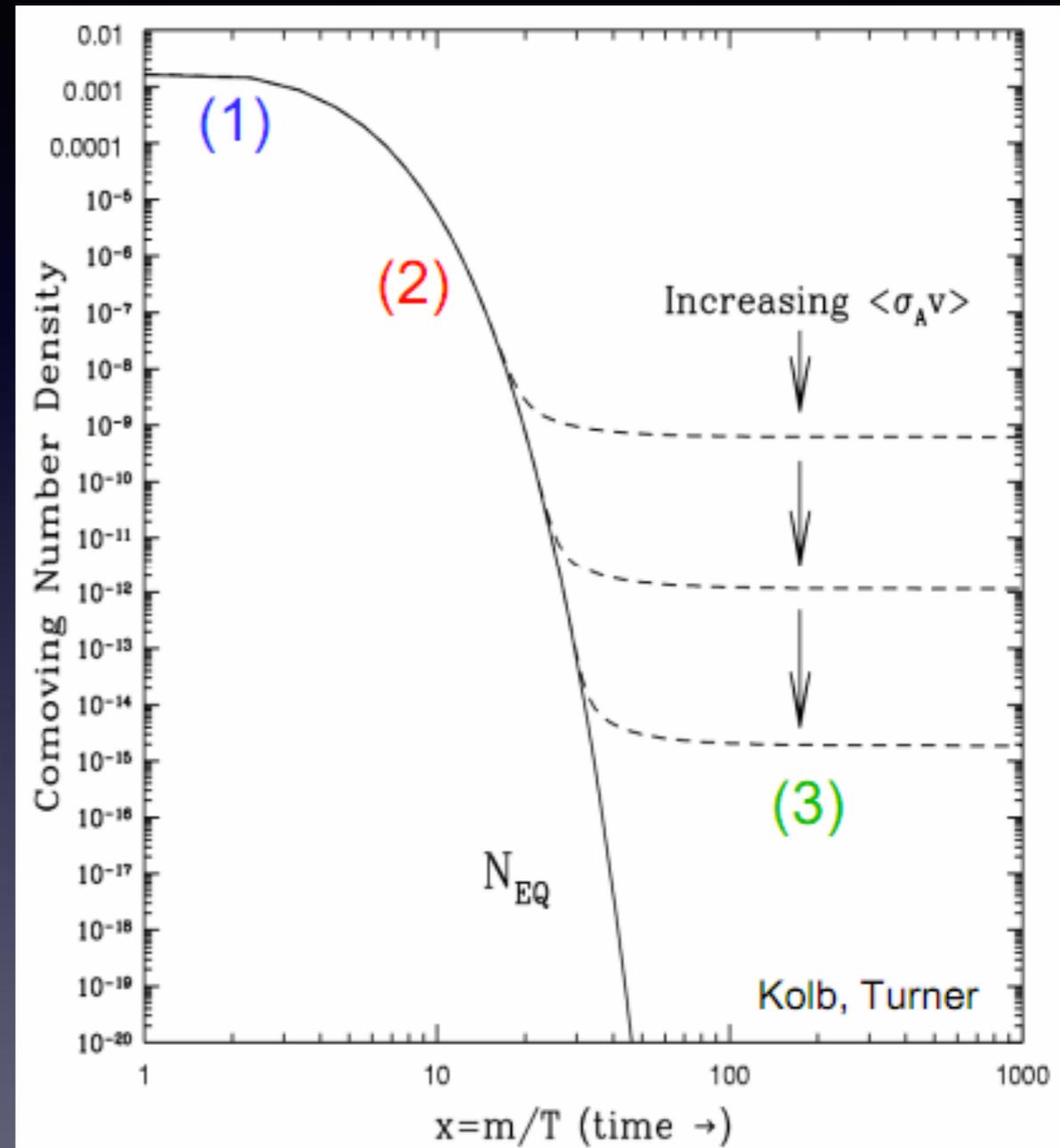
- In the early universe, suppose DM & visible matter (SM) in thermal equilibrium.
- DM can annihilate to SM particles, or SM particles can collide and produce it.



- Temperature(universe) < particle mass
=> can still annihilate, but can't be produced.



- Abundance falls exponentially, cut off when timescale for annihilation \sim Hubble time. The comoving dark matter density then freezes out.



So (known) late-time density is set by annihilation rate.

$$\langle\sigma v\rangle \sim 3 \times 10^{-26} \text{ cm}^3/\text{s} \sim \pi\alpha^2 / (100 \text{ GeV})^2 \quad (3)$$

A little more detail...

- Freezeout occurs when timescales for expansion and annihilation are similar: $H \sim n\langle\sigma v\rangle$
- Usually triggered by exponential depletion of DM around $T \sim m_{\text{DM}}$
- After freezeout, DM number density n scales as $(1+z)^3 \sim T^3$.
- Observation: we know that radiation and DM densities were similar at $T_{\text{eq}} \sim 1$ eV. Radiation density $\sim T^4$.
- Assuming freezeout happens during radiation domination,

$$T_f^2/m_{\text{Pl}} \sim H_f \sim n_f \langle\sigma v\rangle \sim \left(\frac{T_f}{T_{\text{eq}}}\right)^3 \frac{T_{\text{eq}}^4}{m_{\text{DM}}} \langle\sigma v\rangle$$

$$\langle\sigma v\rangle \sim \frac{m_{\text{DM}}}{T_f} \frac{1}{m_{\text{Pl}} T_{\text{eq}}} \sim \frac{1}{m_{\text{Pl}} T_{\text{eq}}}$$

DM mass dependence
largely cancels out

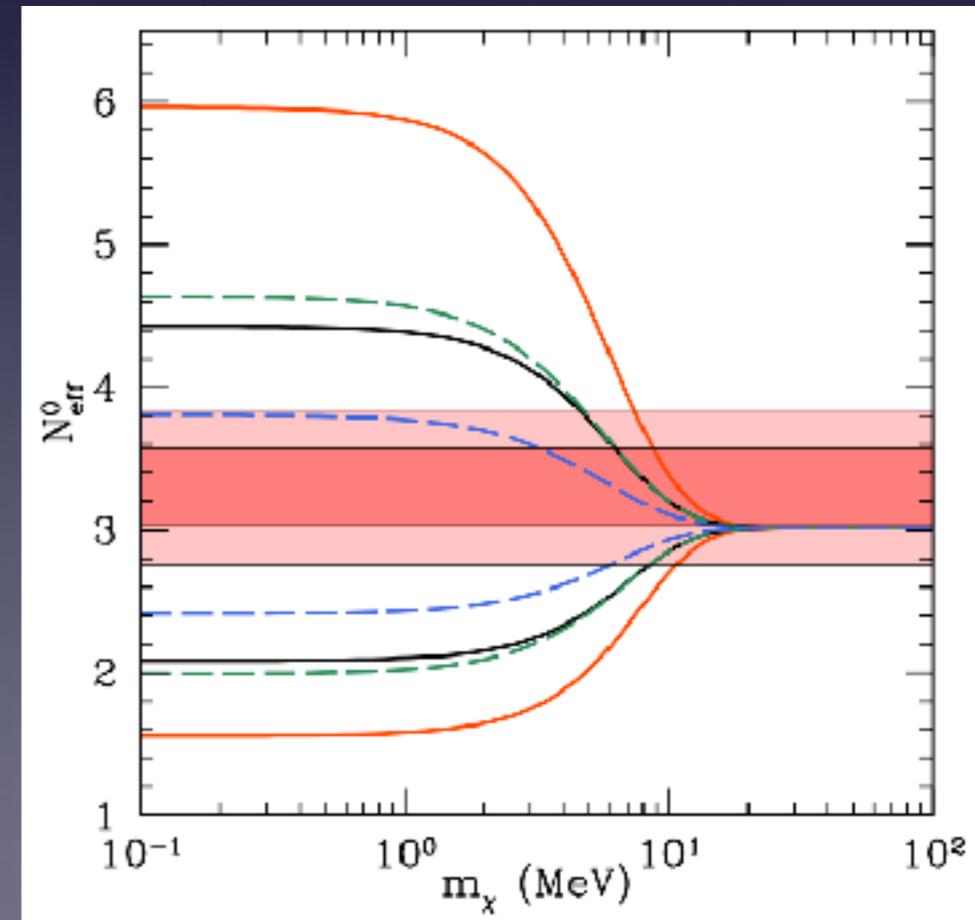
Parametrics for thermal DM

- Matter-radiation equality: $T \sim 1 \text{ eV}$
- Planck scale: $T \sim 10^{28} \text{ eV}$
- Natural mass scale for (2-body annihilation): $100 \text{ TeV} \times \text{coupling strength} \sim 1 \text{ TeV} \times \alpha$
- One solution (“WIMP miracle”): weak-scale mass, weak-scale coupling. No new force carriers required, has motivated many direct/indirect/collider searches. But other solutions also viable!
- For perturbative couplings, mass scale needs to be $\sim 100 \text{ TeV}$ or less (unitarity bound $\sim 200 \text{ TeV}$ [von Harling & Petraki '14])
 - Caveat: mass can be higher if DM density diluted by other mechanisms, e.g. large late-time entropy injection [Bramante & Unwin '17].
- For n-body annihilation, thermal-relic mass scale is naturally smaller:

$$m_{\text{DM}} \sim \alpha \sqrt[n]{m_{\text{Pl}} T_{\text{eq}}^{n-1}} \quad (\text{see e.g. SIMP models [Hochberg et al '14]})$$

How low can thermal DM go?

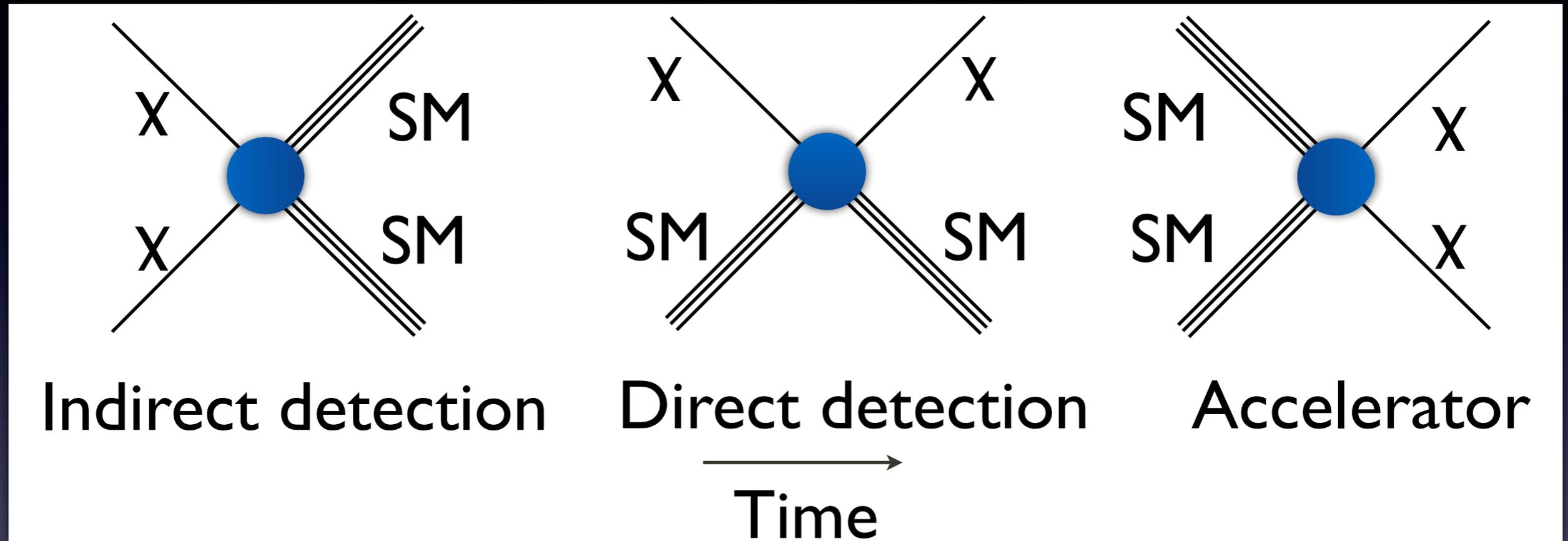
- n_{eff} bound: Big Bang nucleosynthesis (BBN) and CMB data constrain number of effective relativistic degrees of freedom.
- After electrons/positrons become non-relativistic, neutrinos have temperature $(4/11)^{1/3} T_{\text{CMB}}$; $\Delta n_{\text{eff}} = 1$ corresponds to the addition of one extra neutrino species (or other relativistic fermion species at neutrino temperature).
- Planck 2018 data: $n_{\text{eff}} = 2.99 \pm 0.17$ [Planck Collaboration '18, 1807.06209].
- If DM is in thermal equilibrium with the Standard Model down to $O(\text{MeV})$ temperatures, n_{eff} limit is generally violated [Nollett & Steigman '14, '15]:
 - If DM is still relativistic during BBN ($T \sim 1 \text{ MeV}$), can increase n_{eff} directly (independent of coupling to SM).
 - If DM annihilates away after neutrinos decouple from photon bath ($T \sim 1 \text{ MeV}$), either to photons or neutrinos, it can substantially modify the neutrino temperature relative to the photon temperature - alter n_{eff} indirectly.



How low can thermal DM go? (round II)

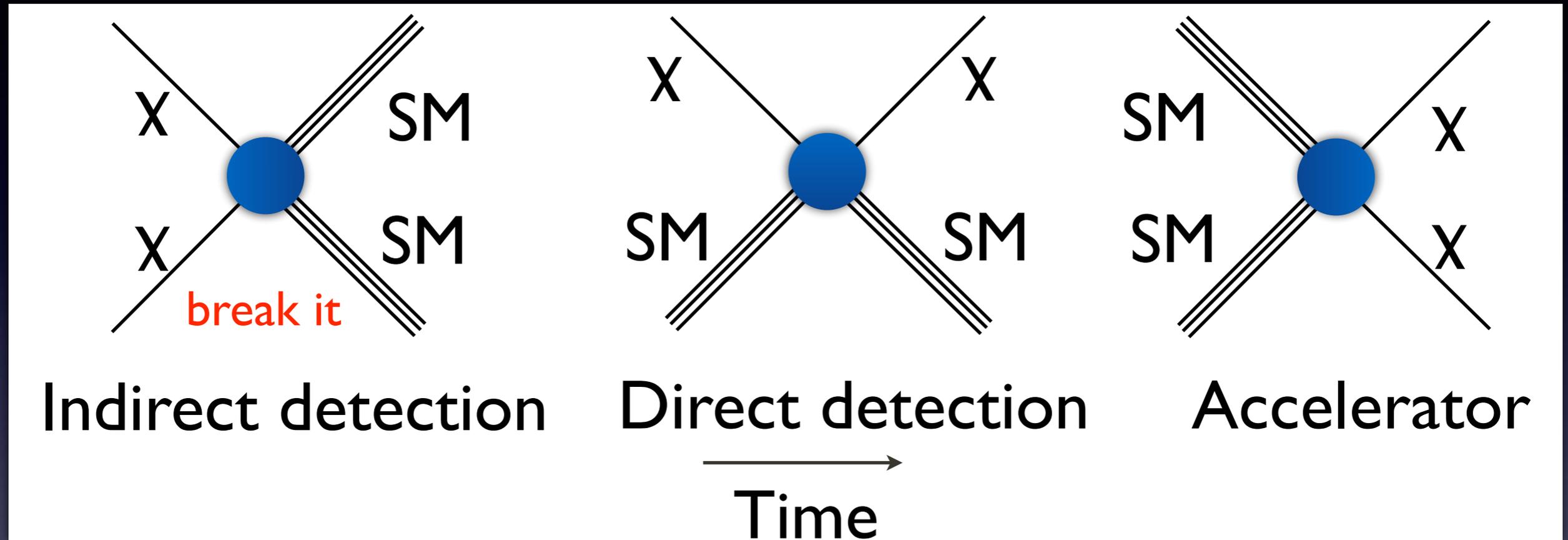
- n_{eff} bound can be evaded if:
 - DM undergoes thermal freezeout to its own dark sector, which is not thermally coupled to the SM, and is colder (e.g. because this sector decoupled from SM before QCD phase transition [Green & Rajendran '17]).
 - DM first reaches thermal equilibrium with SM at temperatures below 1 MeV (after BBN), then decouples again before the CMB epoch [Berlin & Blinov '17].
- Additional limitation: DM itself cannot be too warm/hot during structure formation.
 - Bounds from Lyman-alpha forest exclude thermal DM below $\sim 2\text{-}5$ keV [e.g. Garzilli et al '15, Irsic et al '17].
 - Limits relaxed for DM substantially colder than CMB photon bath - requires early thermal decoupling (or no thermal coupling at all).

Searching for thermal DM



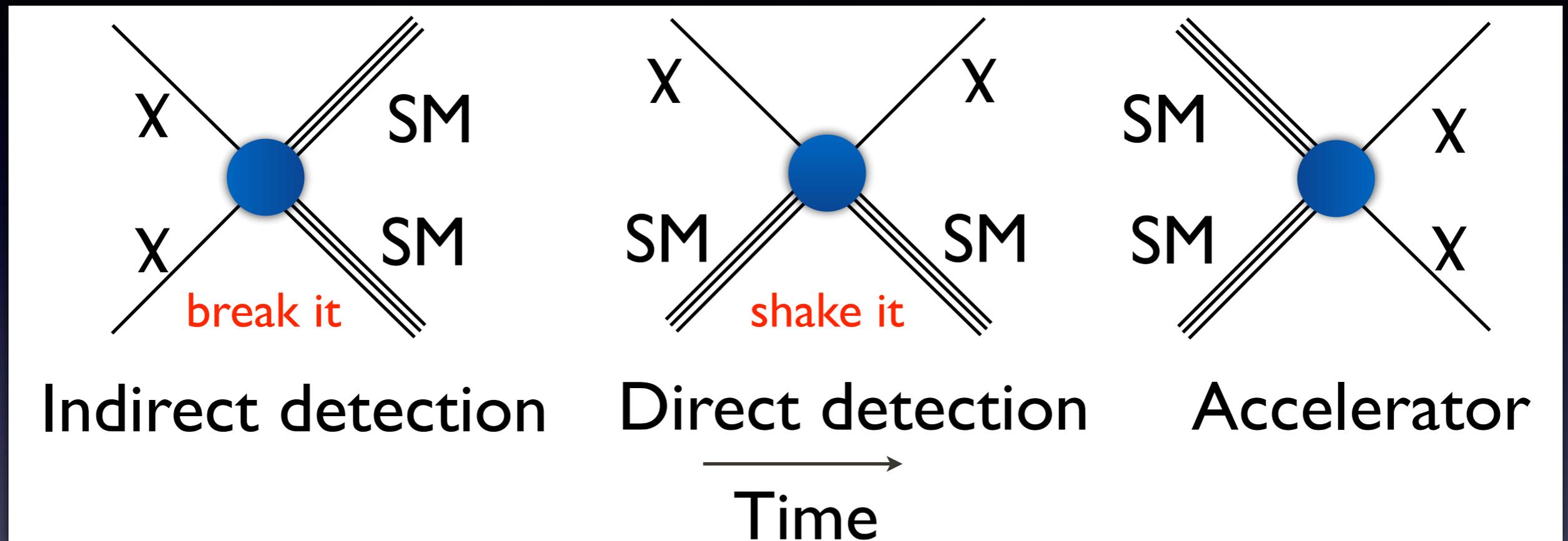
- Indirect detection: look for SM particles - electrons/positrons, photons, neutrinos, protons/antiprotons - produced by DM interactions (e.g. annihilation or decay).
- Direct detection: look for Standard Model particles recoiling from collisions with invisible dark matter.
- Accelerators: produce DM particles in high-energy collisions and look for missing energy (e.g. at the LHC), or search for new particles coupled to the dark matter.

Searching for thermal DM



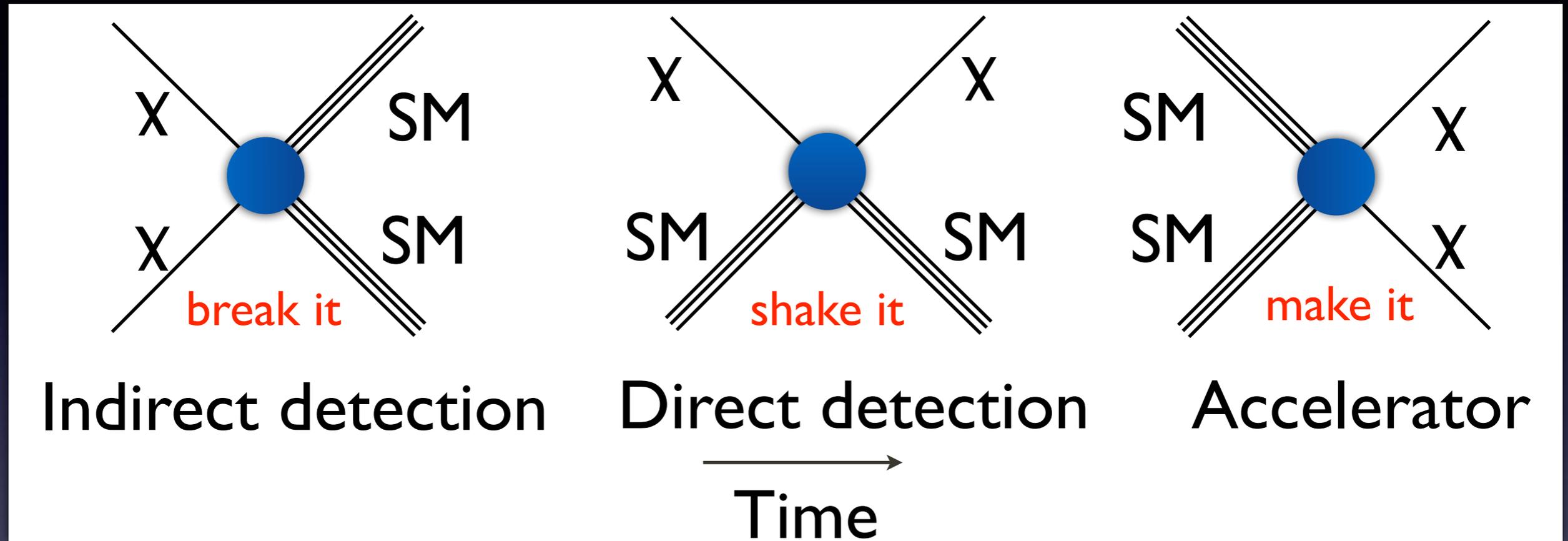
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- Accelerators: produce DM particles in high-energy collisions and look for missing energy (e.g. at the LHC), or search for new particles coupled to the dark matter.

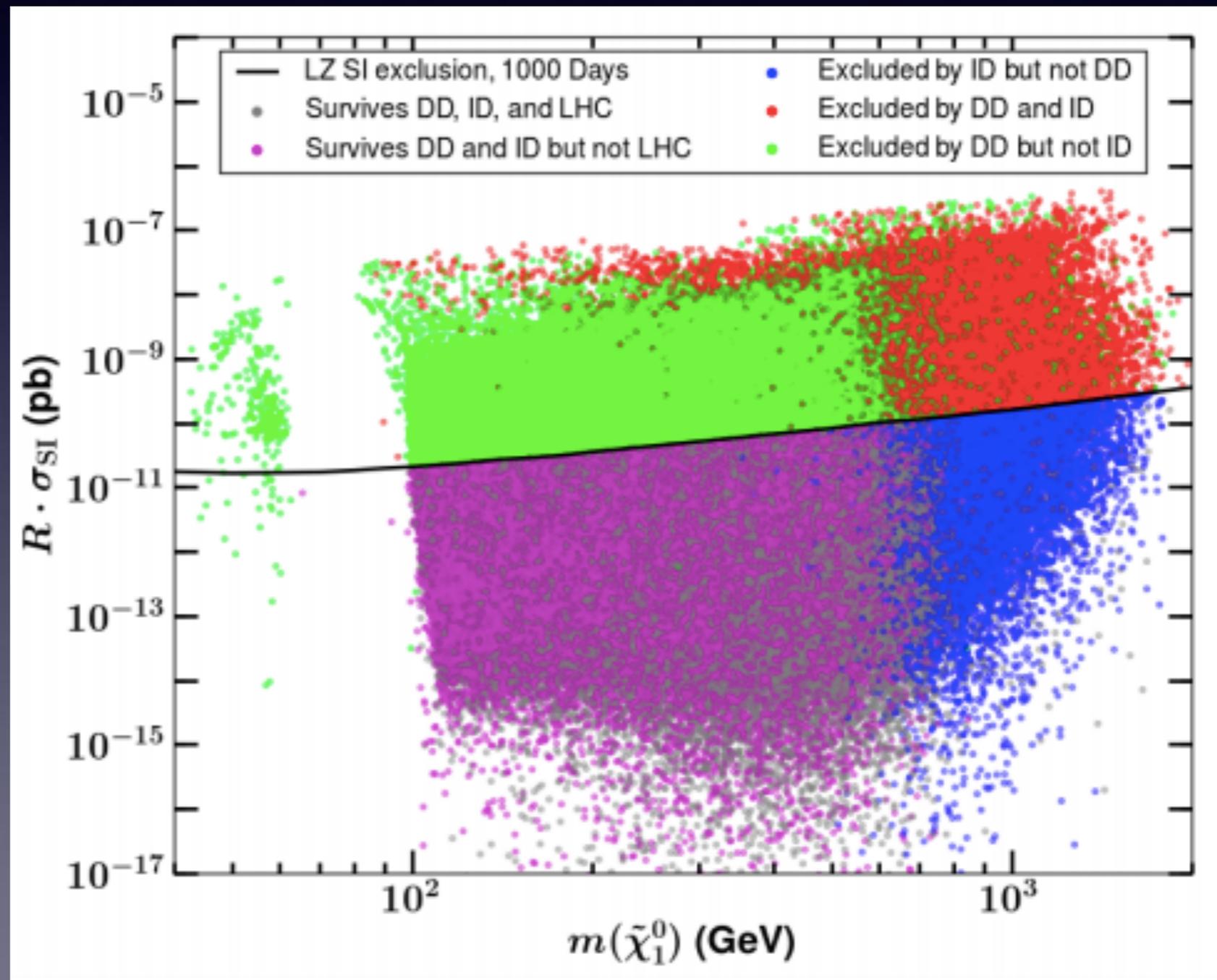
Searching for thermal DM



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Complementarity in WIMP searches

- Example using the pMSSM, Cahill-Rowley et al '14
- Forecast limits for LZ (direct detection), CTA (indirect detection), 7-8 TeV LHC



Predictivity for thermal DM

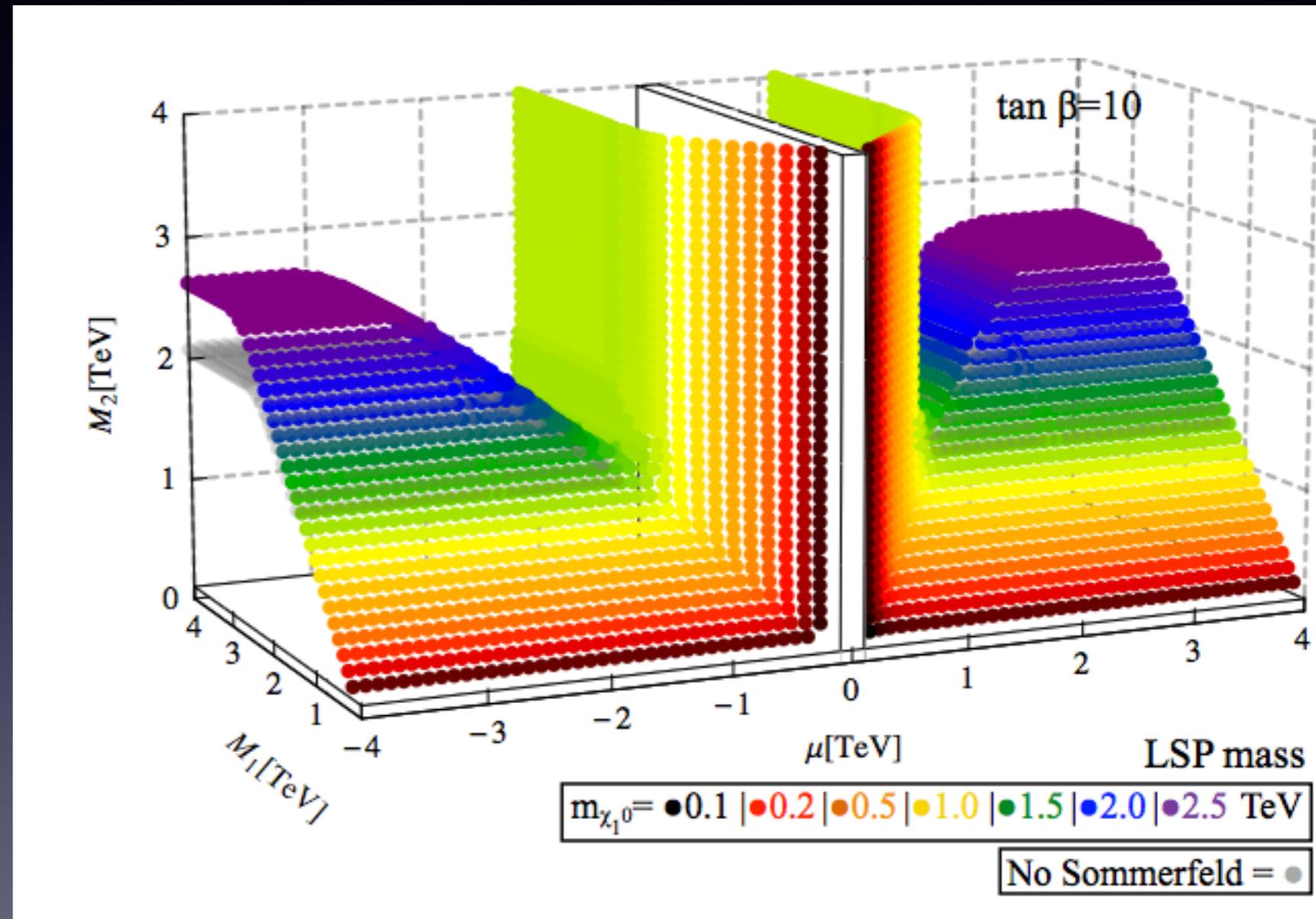
- In standard case, can immediately predict annihilation rate - “thermal relic benchmark” for indirect detection.
 - In simplest case (constant $\langle\sigma v\rangle$), can test DM masses below ~ 20 GeV, if annihilation is to any combination of visible channels [Leane, TRS et al '18].
 - Caveat: annihilation at freezeout may not be the same as in present day! e.g. because of suppression/enhancement at low velocities, or if annihilation at freezeout involves a non-DM particle that has decayed away at late times.
- In variations, abundance may be set by DM-SM scattering cross section (ELDER models [Kuflik et al '16]), or by freeze-in rather than freeze-out.
 - ELDER models make a robust prediction for direct detection.
- Within specific models for DM (complete or simplified), can relate DM abundance to signal strengths at the full range of experiments.

WIMPs under threat?

- No detection (yet) of new weak-scale physics at the LHC.
- No detection (yet) of WIMPs in direct or indirect dark matter searches - direct searches probing cross sections as small as $4 \times 10^{-47} \text{ cm}^2$ [XENONIT Collaboration '18].
- Can we exclude thermal relic dark matter where:
 - The DM transforms under the gauge groups of the Standard Model, or
 - The DM simply has roughly weak-scale masses and couplings, potentially involving a new “mediator” particle?
 - The DM is much lighter than the standard “WIMP window”, below the GeV scale, and has a thermal origin?

Example: the lightest SUSY neutralino

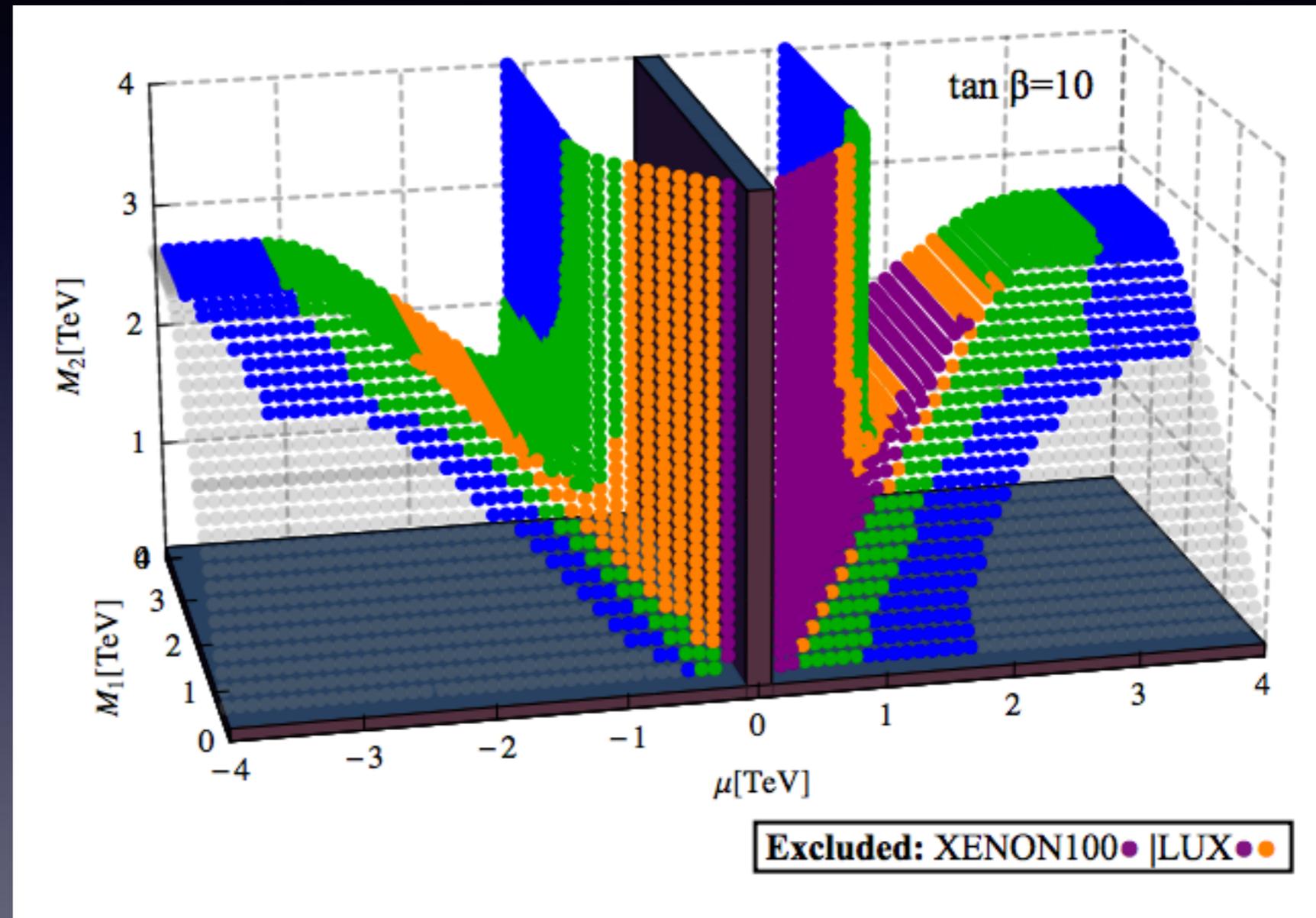
- In supersymmetric models, lightest superpartner (LSP) is stabilized by R-parity.
- Typically the LSP is the lightest neutralino - admixture of wino, bino, and higgsino.
- Plot shows “relic density surface” where correct relic density is obtained, in terms of neutralino mass parameters M_1, M_2, μ .
- Here all superpartners except neutralinos and charginos are assumed to be heavy and decouple.



Bramante et al '16

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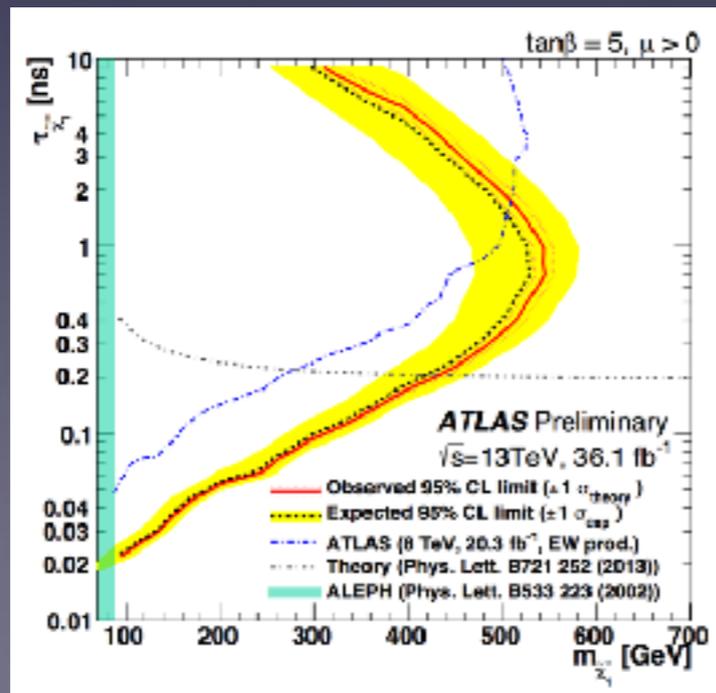


Bramante et al '16

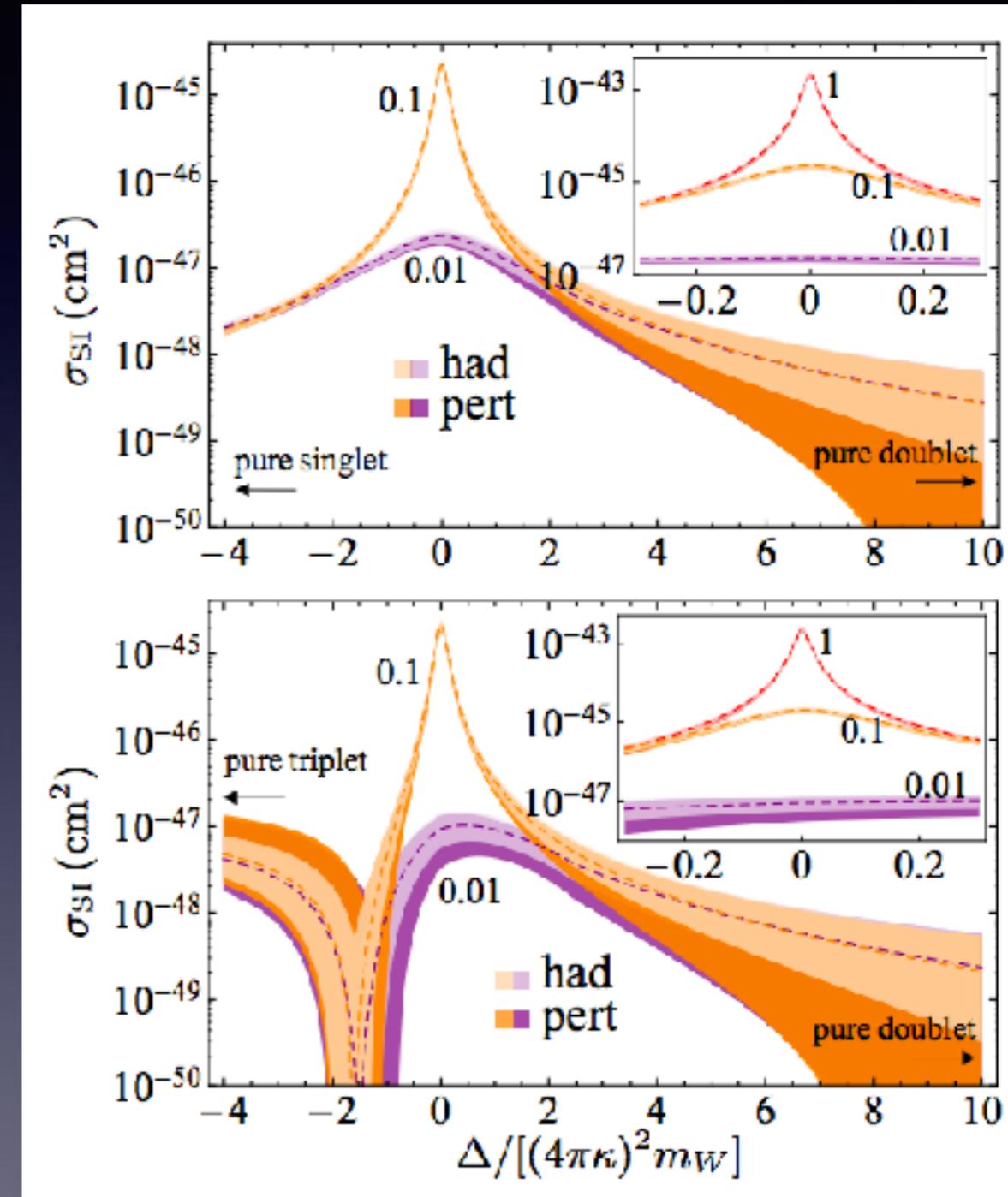
Example: the lightest SUSY neutralino

Hill & Solon '14

- Current set of constraints leaves open swathes of parameter space:
 - Pure higgsinos and winos, and much of bino-wino parameter space, still yield predicted DD signals below current limits.
 - Current collider limits on pure winos (higgsinos) only rule out masses below ~ 400 (~ 100) GeV [ATLAS-CONF-2017-017, Fukuda et al '17].
 - Heavy winos can be probed by indirect detection, but limits depend on the DM density profile of the Milky Way [e.g. Baumgart, TRS et al '17].



Limits on wino DM, ATLAS-CONF-2017-017



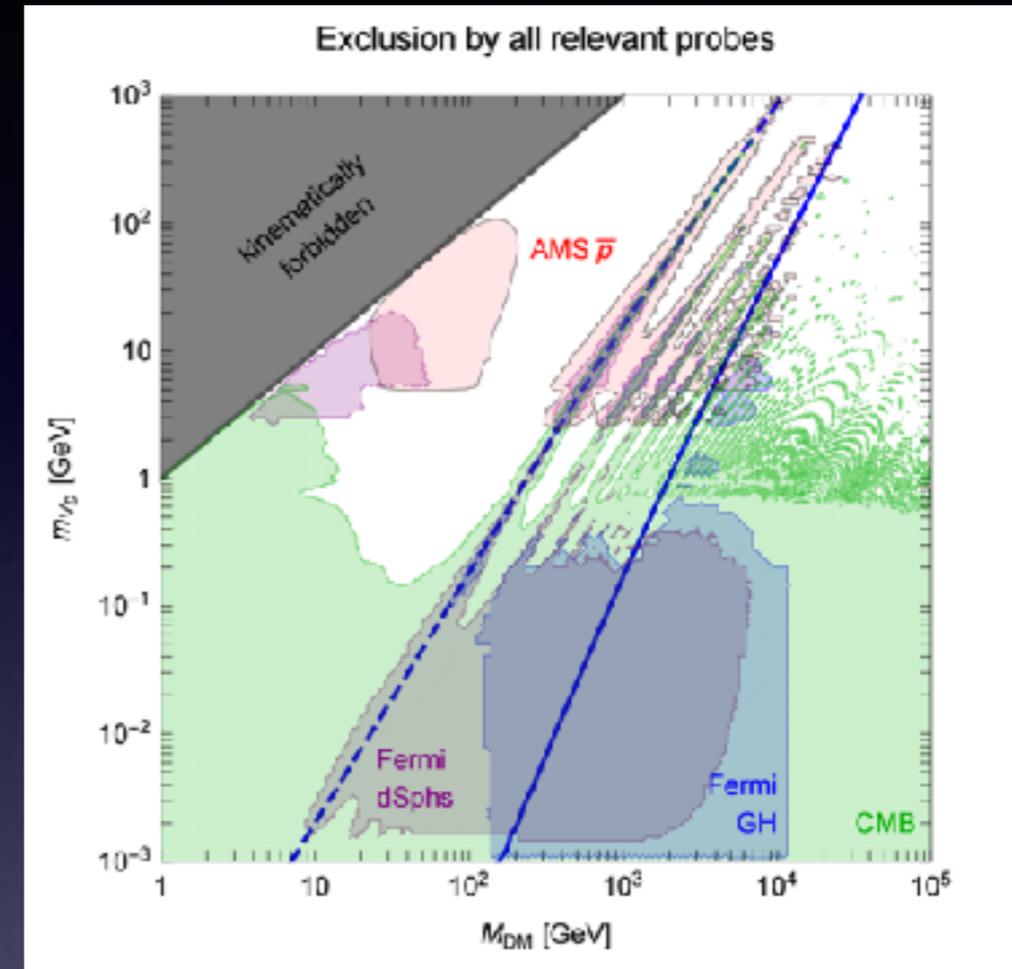
Predictions for direct detection of pure and mixed SU(2)_L DM

Example: dark vector portal

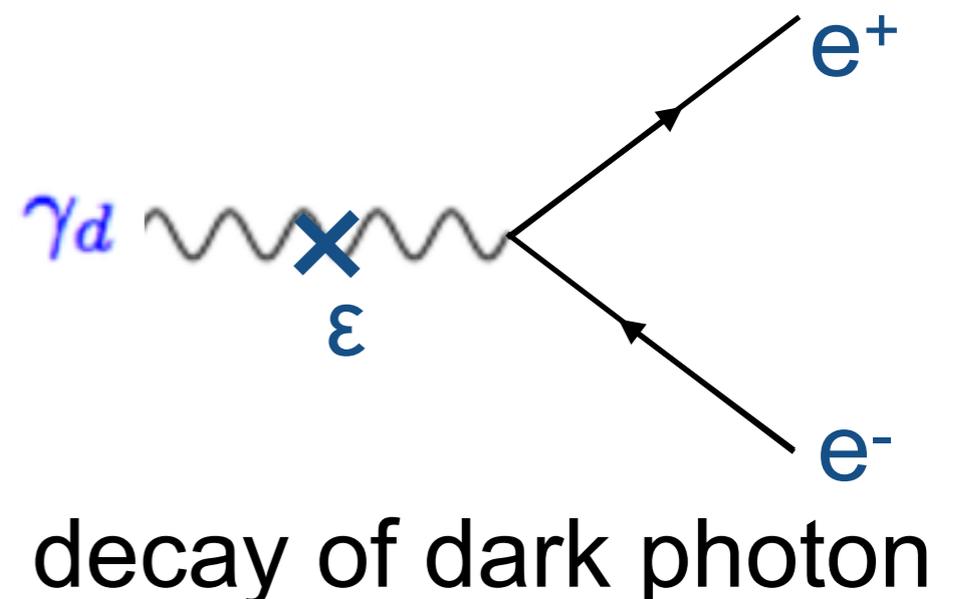
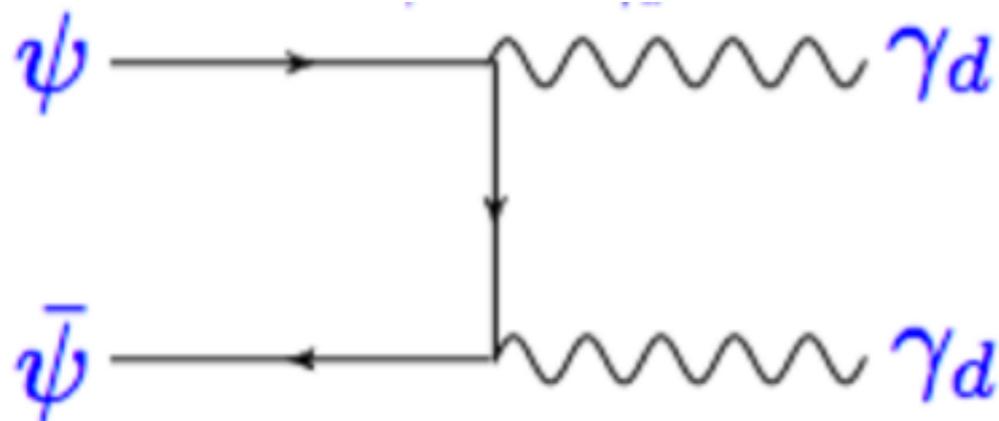
- Dark matter couples to dark photon which mixes slightly with Standard Model photon:

$$\mathcal{L}_{\text{mix}} = \frac{\epsilon}{2} F^{\mu\nu} F_{\mu\nu}^D$$

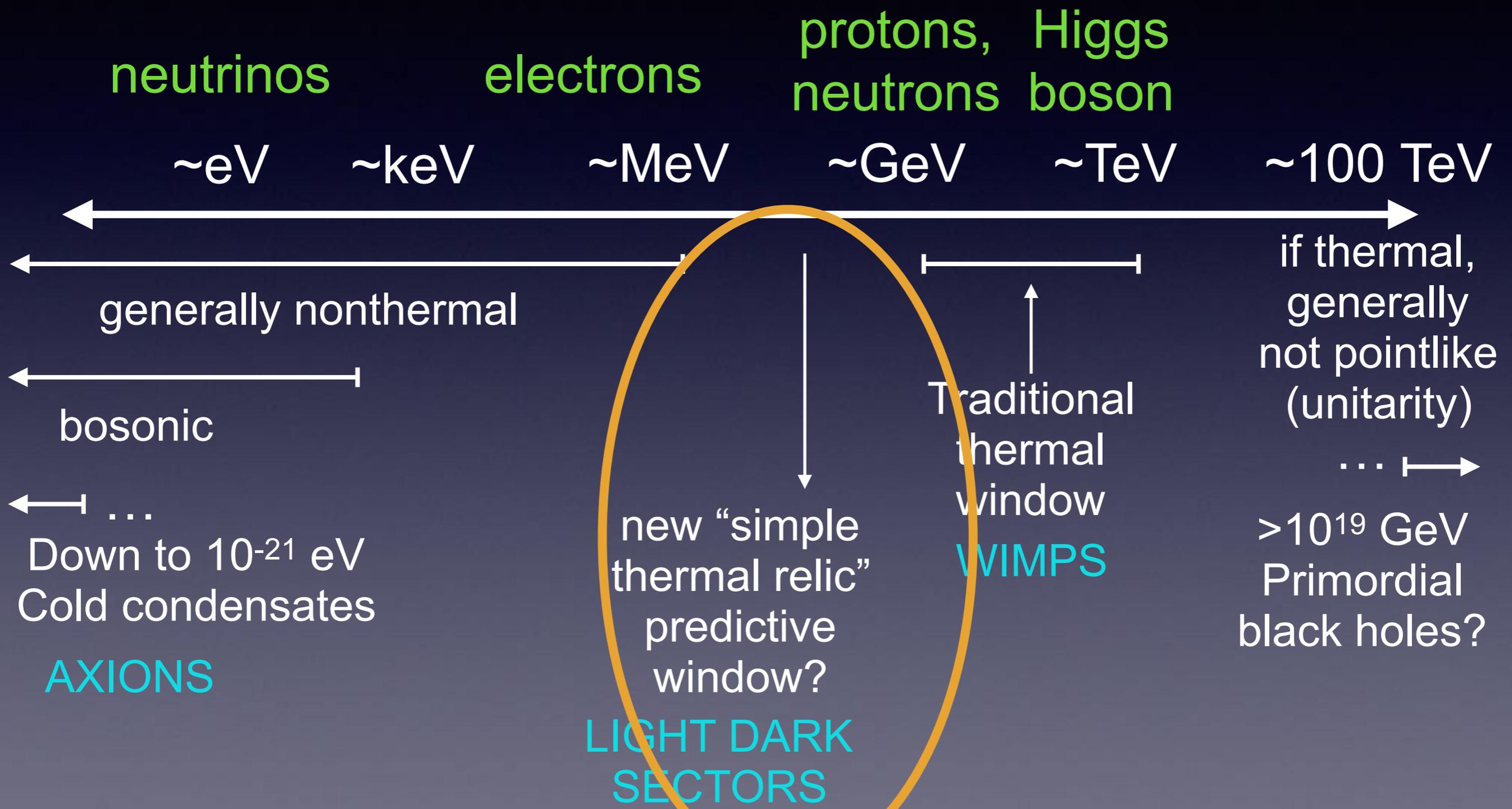
- Direct and collider signatures are suppressed by small mixing.
- Relic density almost unaffected by small mixing if DM is heavier than dark photon.
- Can search with indirect detection, or by direct probes of the dark mediator - stringent limits for light dark photons and up to 100 TeV DM [Cirelli et al '17].



dominant annihilation channel

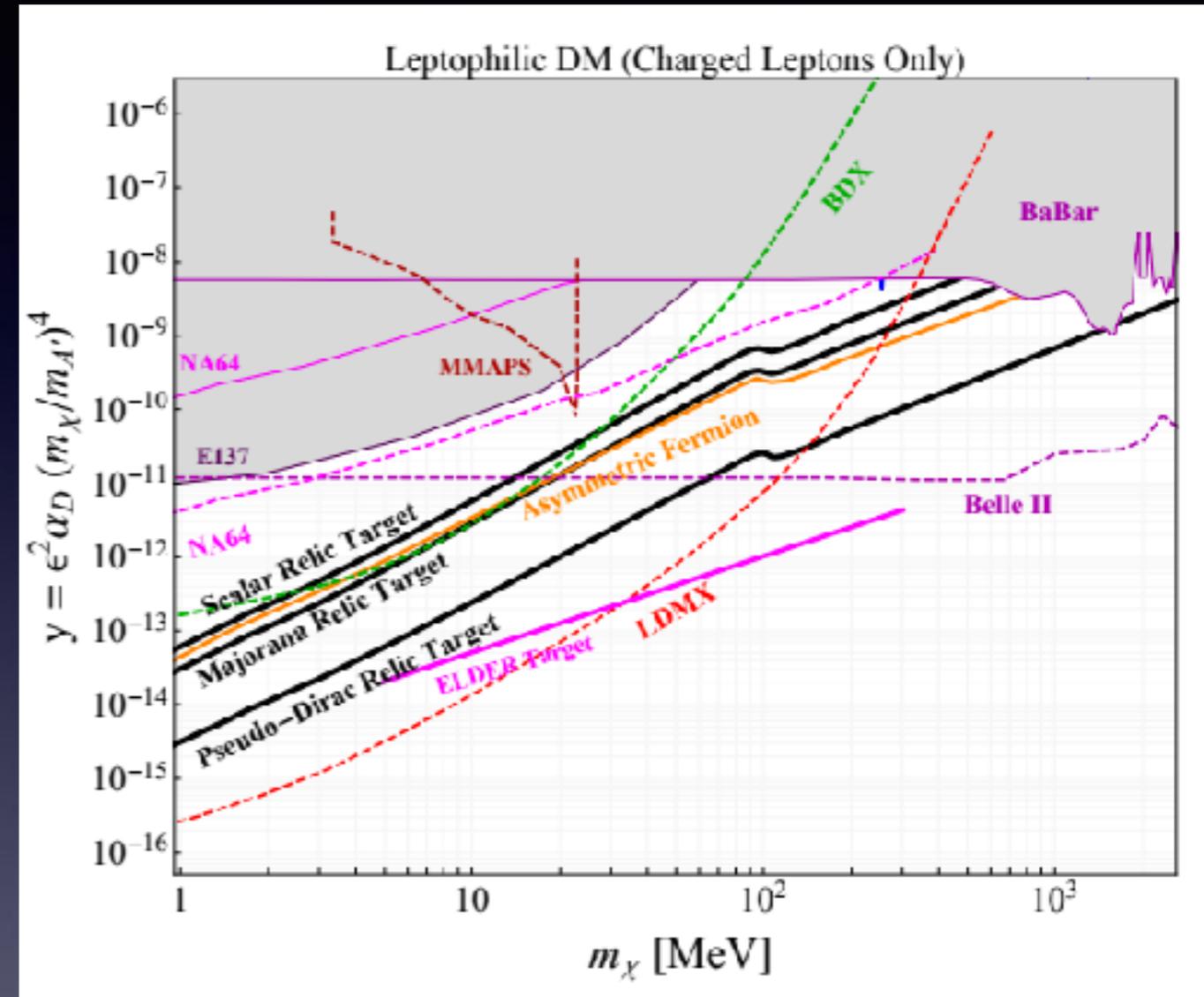


Dark matter models by mass



The low-mass thermal region

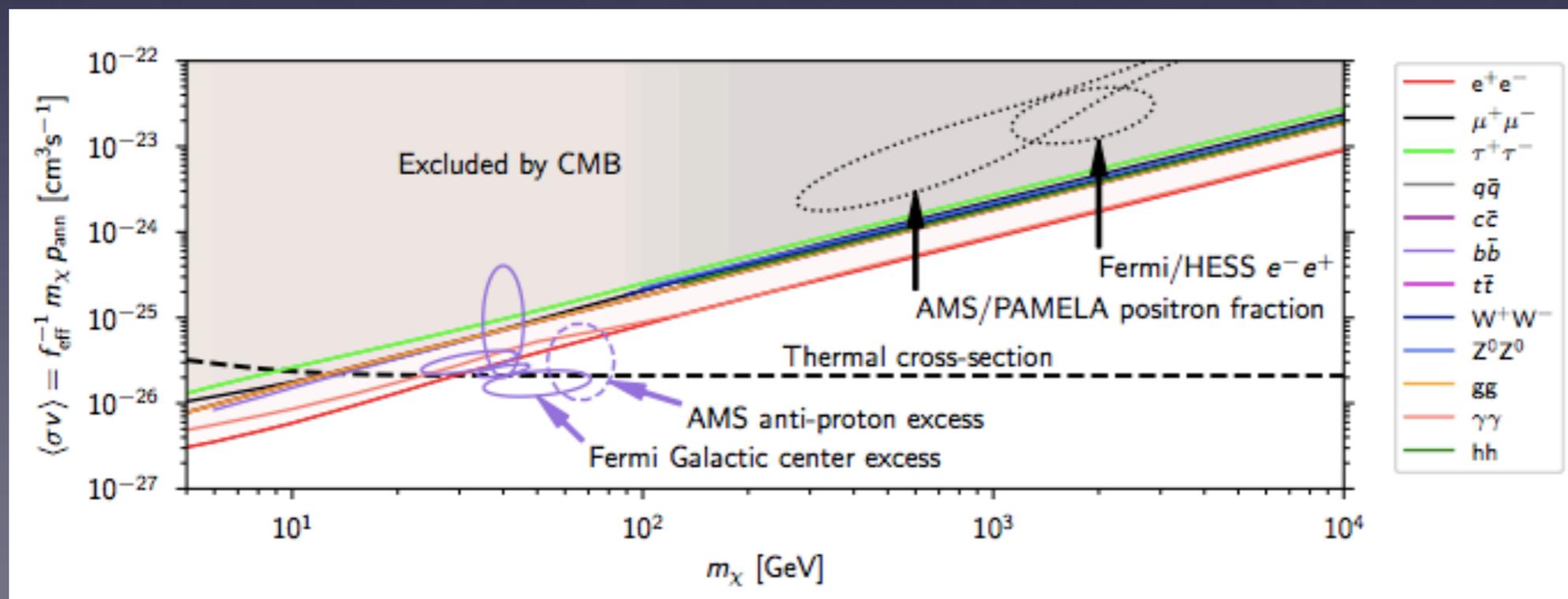
- Consider the sub-GeV mass range for DM with thermal freezeout.
- Traditional direct detection much more challenging here, due to energy thresholds - scattering off electrons (vs nuclei) can help.
- Consider simplified models of scalar/ Majorana fermion/pseudo-Dirac fermion DM, coupled to SM through light mediator (often a dark photon) - simple “dark sector”.
- Fix coupling to annihilation products via thermal relic calculation,
 - if DM directly coupled to Standard Model, allows well-defined thermal relic targets for different simplified models,
 - if DM annihilates within dark sector, search for mediators between dark and visible sectors, invisible decays, etc.
- re-examine complementarity between direct/ indirect/accelerator searches.



Example for thermal relic DM annihilating through a leptophilic mediator
Battaglieri et al '17, Cosmic Visions report

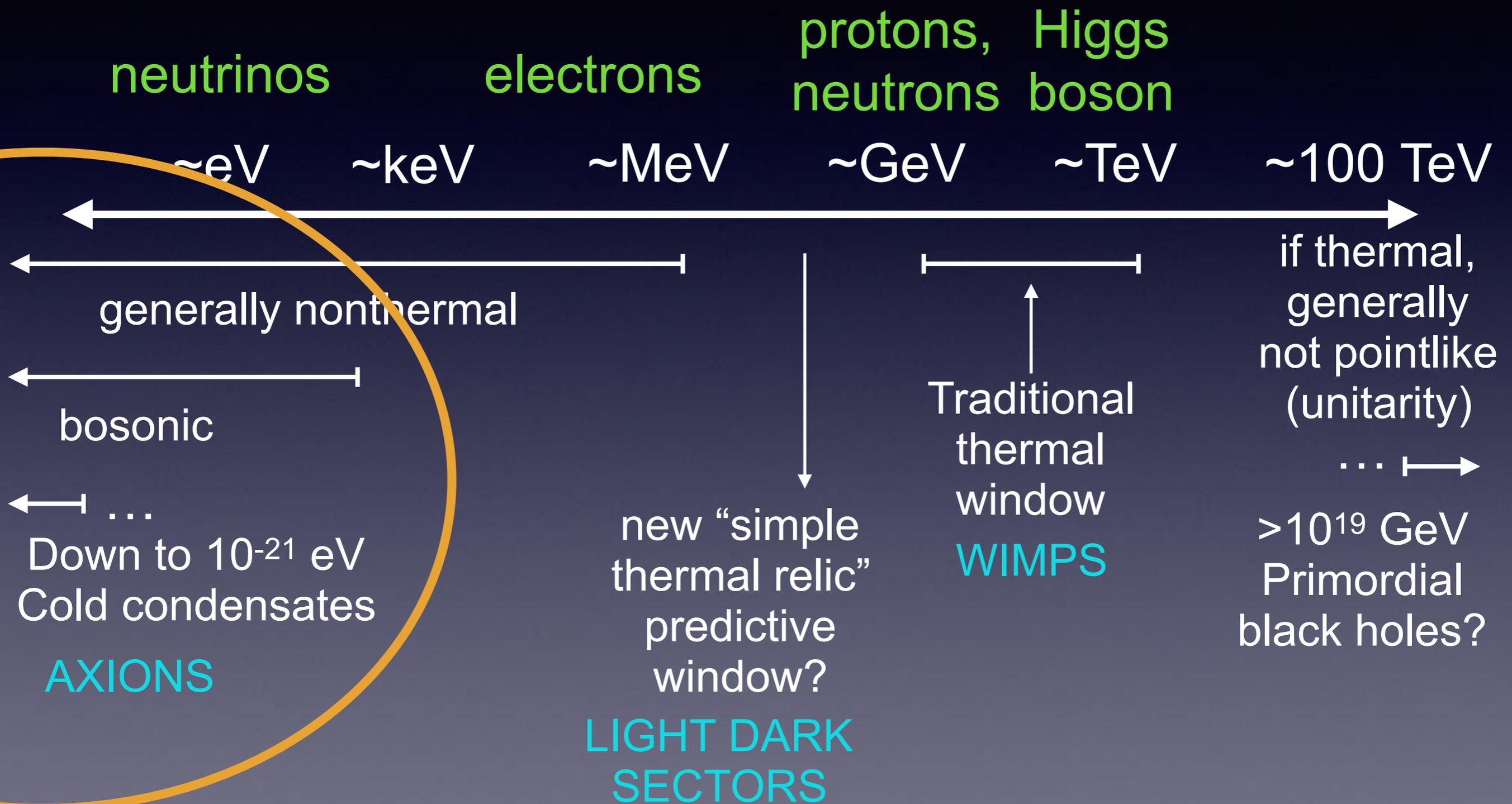
Challenges for light thermal dark matter

- Many new ideas for experimental dark matter searches in the keV-GeV mass range - direct detection, beam dumps, fixed-target experiments, MeV-GeV gamma-ray telescopes, etc.
- But also many existing constraints! Most model-independent bounds on thermal relic annihilation rate come from indirect detection.
- Example: too large an annihilation rate producing photons/electrons during the cosmic dark ages leads to extra ionization - perturbs the CMB
- Thermal annihilation cross section during this epoch is ruled out for DM masses below ~ 10 GeV, unless DM annihilates mostly/entirely to neutrinos. Favors models with suppressed annihilation at late times.

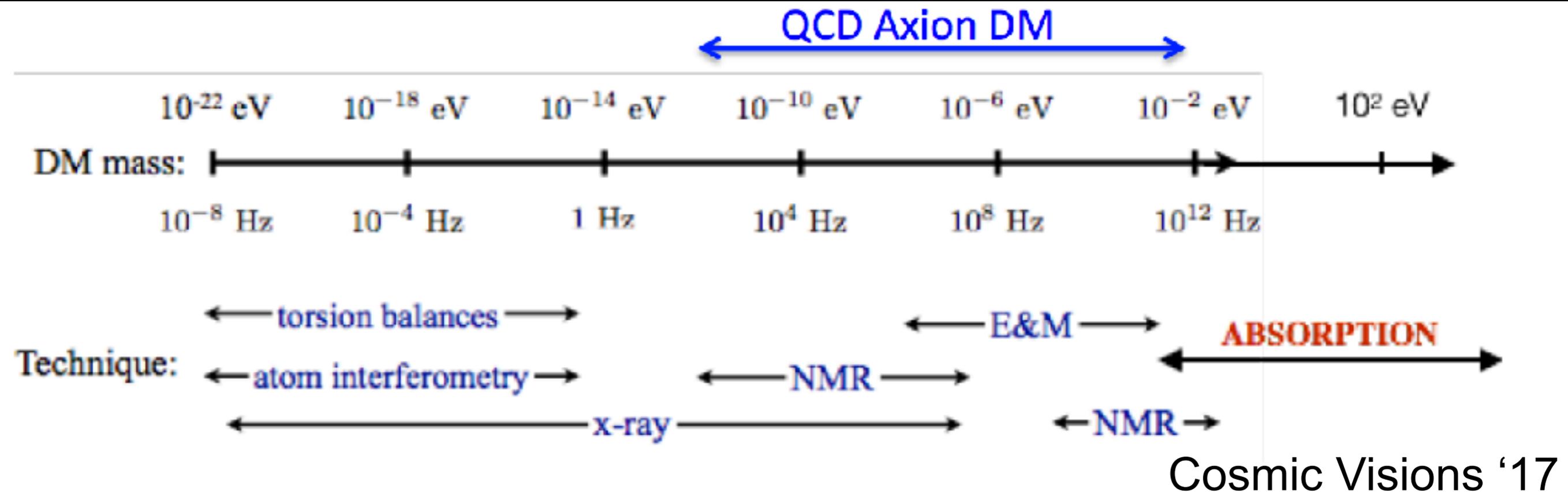


Planck
 Collaboration '18
 1807.06209
 based on results
 of TRS '16

Dark matter models by mass



Light bosonic dark matter



- Two main parameter regions for sub-keV bosonic dark matter
 - meV-keV: DM can be absorbed onto target electrons in semiconductors or superconductors via phonon emission [Hochberg, Lin & Zurek '16-'17, Bloch et al '16]
 - 10^{-21} eV - meV: DM can be regarded as a coherently oscillating classical field, opens up a range of new detection methods targeting continuous wave signals (rather than individual particles).

Classic example: QCD axion

- The Standard Model Lagrangian, describing all known particle interactions, in principle should have a term of the form:

$$\mathcal{L}_\theta = \frac{\theta}{16\pi^2} G_{\mu\nu} \tilde{G}^{\mu\nu} \quad \text{gluon field strength}$$

- A term like this can be generated by CP violation elsewhere in the Standard Model, in the terms describing the quarks - no reason for it to vanish.
- But this term induces a neutron electric dipole moment:

$$d_n = 5.2 \times 10^{-16} \text{ e cm}$$

- Experimentally, we know that:

$$d_n < 3 \times 10^{-26} \text{ e cm} \quad \Rightarrow \quad \theta \lesssim 10^{-10}$$

- Why is this value so small?

The axion proposal

- Replace the parameter θ by a dynamical field, call it (by convention) a/f_a where a is the field and $1/f_a$ a coupling.
- Now we just need to explain why a would evolve toward a very small value.
- But the energy stored in this field depends on the value of a - potential energy changes as a evolves.
- We can work out this effective potential (I won't give the calculation here - see e.g. Dine's TASI lectures hep-ph/0011376 for much more detail on the strong CP problem) and find:

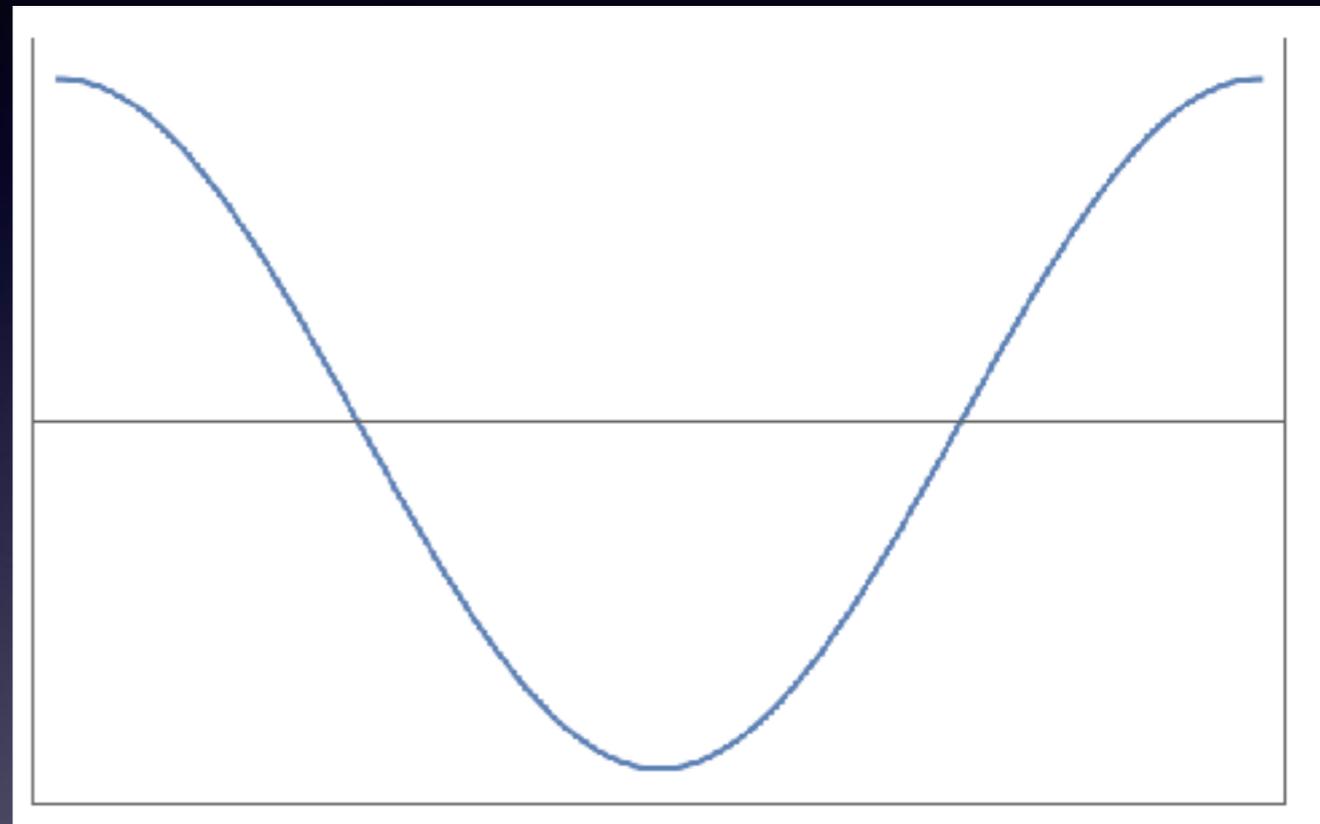
$$V(a) = -m_\pi^2 f_\pi^2 \frac{\sqrt{m_u m_d}}{m_u + m_d} \cos(a/f_a)$$

$f_\pi \approx 93\text{MeV}$
pion decay constant

$m_\pi \approx 135\text{MeV}$
pion mass

The axion potential

- Field should evolve toward small values of this potential.
- Minima occur at $a/f_a = 2n\pi$; let's look at $n=0$.
- The potential is parabolic - coefficient of a^2 term gives axion mass.



$$V(a) = m_\pi^2 f_\pi^2 \frac{\sqrt{m_u m_d}}{m_u + m_d} + \frac{1}{2} a^2 \left(\frac{f_\pi}{f_a} \right)^2 m_\pi^2 \frac{\sqrt{m_u m_d}}{m_u + m_d} + \mathcal{O}(a^4)$$

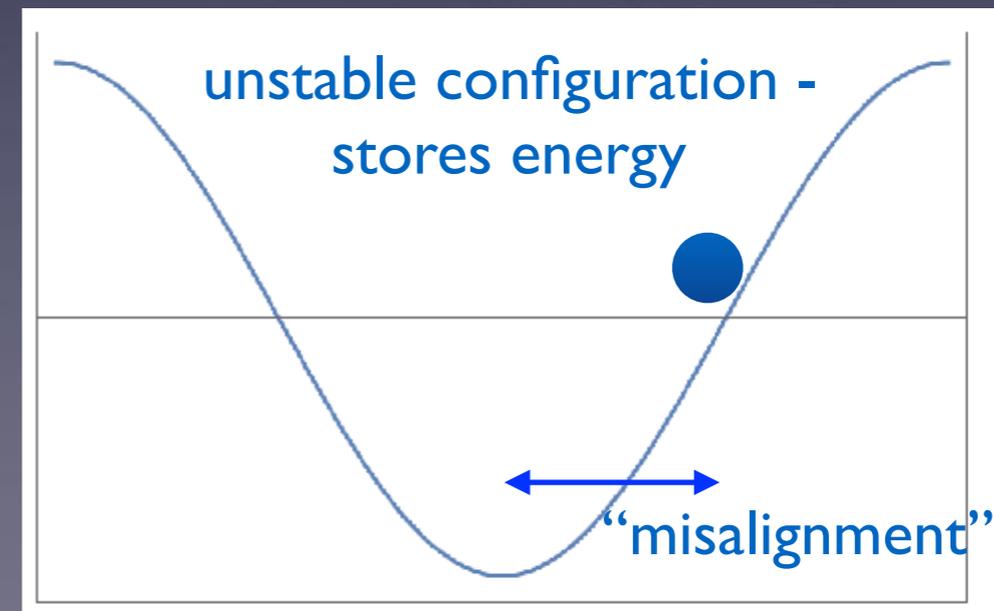
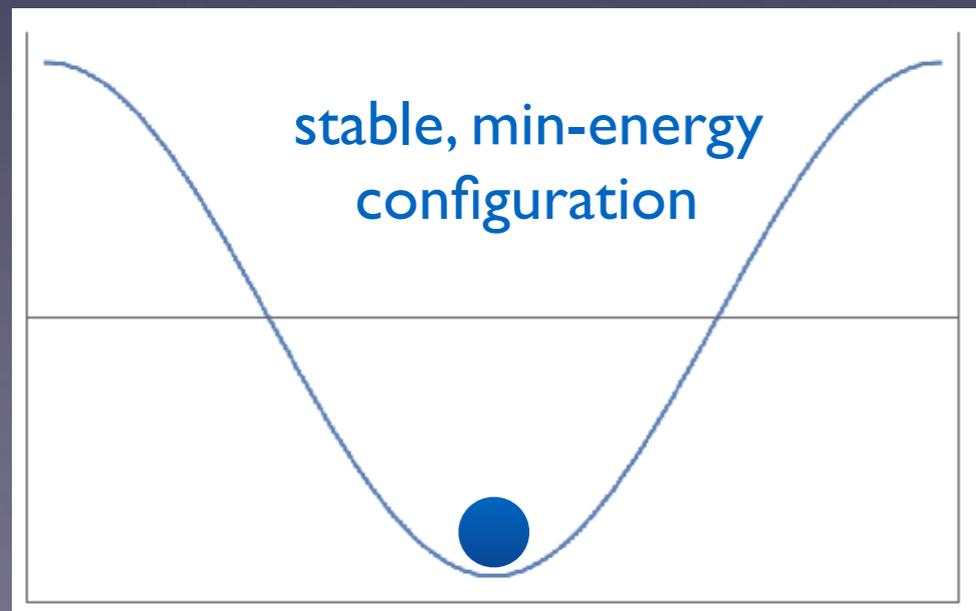
$$m_a = \frac{f_\pi m_\pi}{f_a} \left(\frac{m_u m_d}{(m_u + m_d)^2} \right)^{1/4} \approx 0.6 \text{meV} \left(\frac{10^{10} \text{GeV}}{f_a} \right)$$

Axions as dark matter

- Strength of axion coupling to SM set by axion mass, light axions = weakly coupled
- Axions with mass > 20 eV decay rapidly, meV-20 eV axions thermalize and could be a hot DM subcomponent, $\Omega_{\text{axions}} \sim \mathcal{O}\left(\frac{m_a}{100\text{eV}}\right)$
- Lighter axions never thermalize, can act as cold DM - behavior dominated by bulk classical scalar field, evolving in potential, not excitations

Q: How does the field evolve?

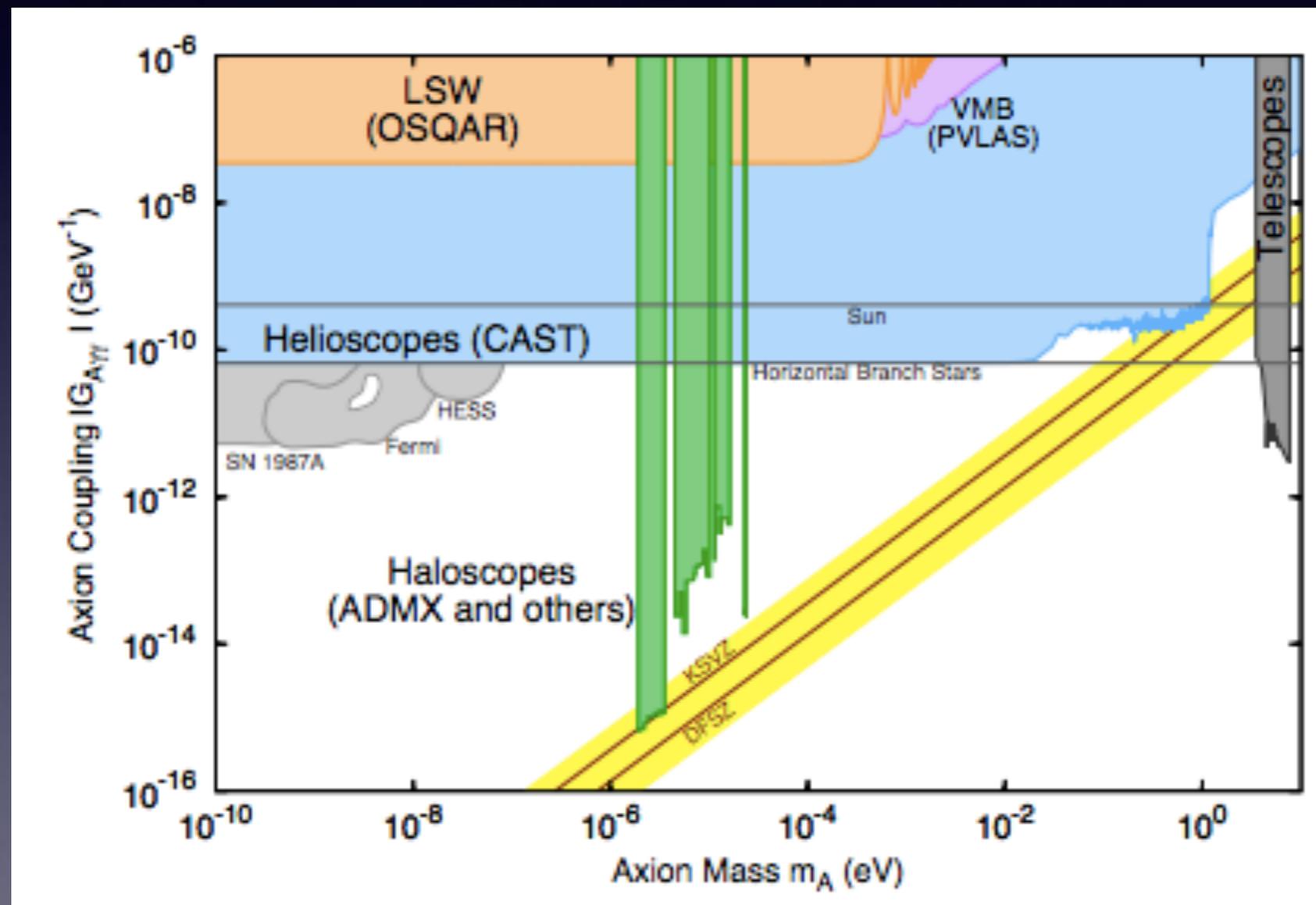
A: If initially displaced from minimum of potential (by some “misalignment angle”), must “roll” toward that minimum



Axion density

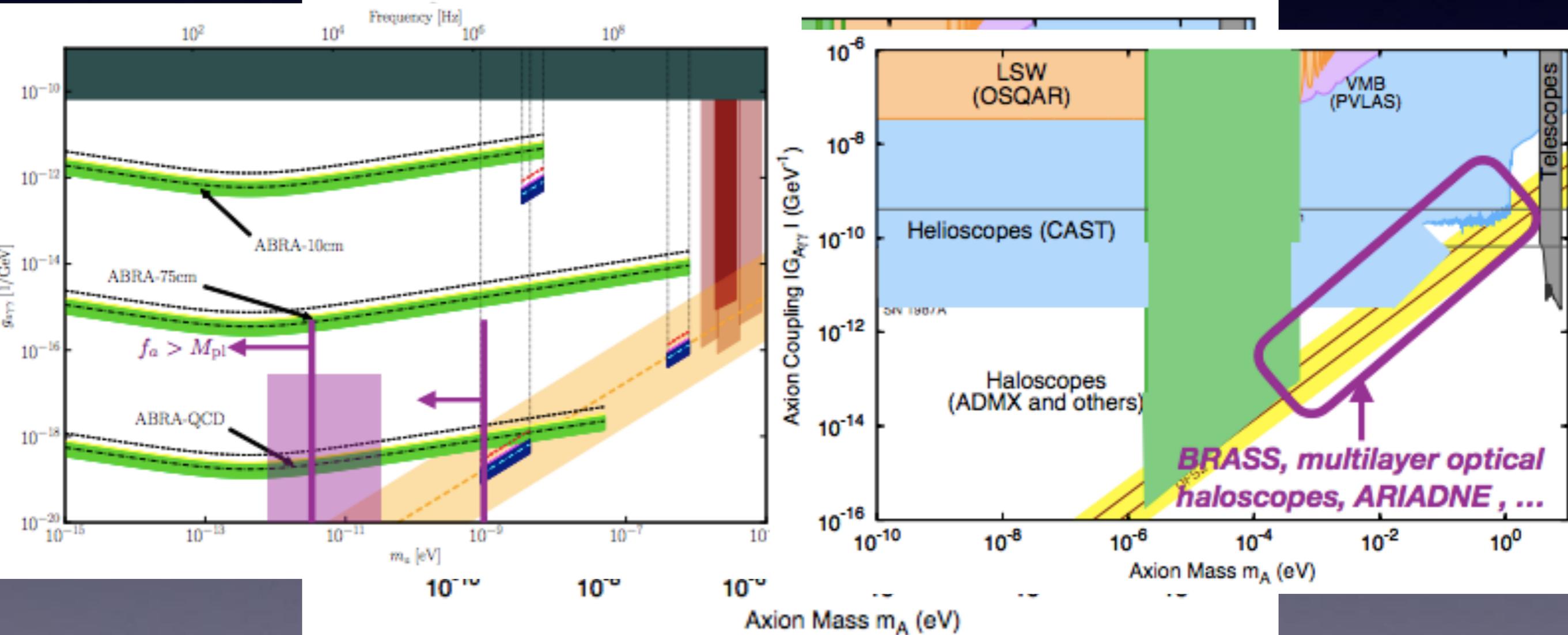
- Axion density set by initial condition (“misalignment angle”),
$$\Omega_{\text{axions}} \approx \Omega_{\text{DM}} \Theta_0^2 \left(\frac{f_a}{5 \times 10^{11} \text{GeV}} \right)^{1.184}$$
- Lighter axions = higher f_a = larger relic density, although relic density can always be reduced by small initial misalignment angle
- But if axions are produced / misalignment angle is set only after inflation, i.e. $H_I \gg f_a$, different patches of cosmos likely have different misalignment angles - take average of random sample
- If misalignment angle is set (in patches) before inflation, each such patch gets blown up at inflation - everywhere in our Hubble volume should have same angle
 - “anthropic axion”?

Limits on axion(like) parameter space



Talk by Ben Safdi, IDM 2018

Limits on axion(like) parameter space



Talk by Ben Safdi, IDM 2018

Taking stock

- Huge diversity of reasonable models for dark matter - crucial to have a broad search strategy that probes many possibilities.
- Lightest massive particle we know: neutrino - DM could be 20 orders of magnitude lighter.
- Heaviest fundamental particle we know: top quark - DM could be 17 orders of magnitude heavier (or not even a particle!)
- There are many theoretical frameworks + creative experimental searches for interactions between dark matter and ordinary matter, for scenarios mapping out large parts of this range.
- What if DM doesn't interact with ordinary matter? We can also look at gravitational probes of DM, seek to improve our understanding of its distribution - could hold clues to DM microphysics.

Dark matter models by mass

