

Can Baryon Stopping be understood within the String Model

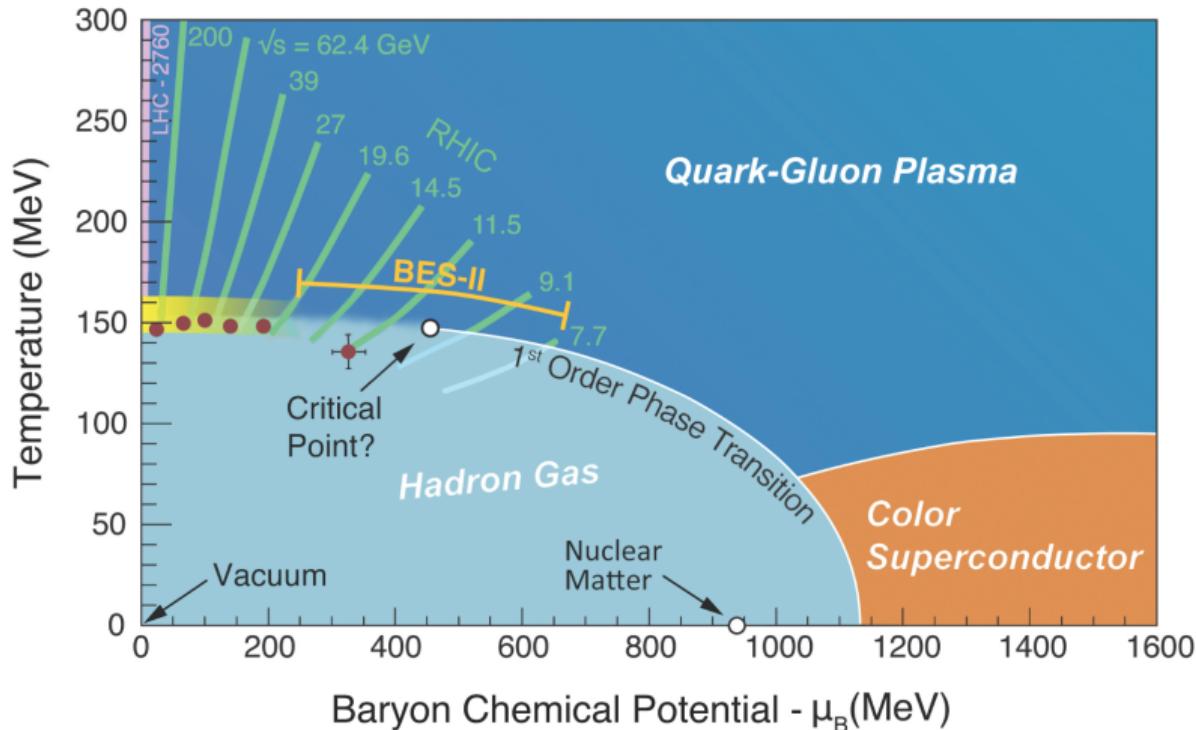
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Goethe University Frankfurt

Hot Quarks
September 11, 2018



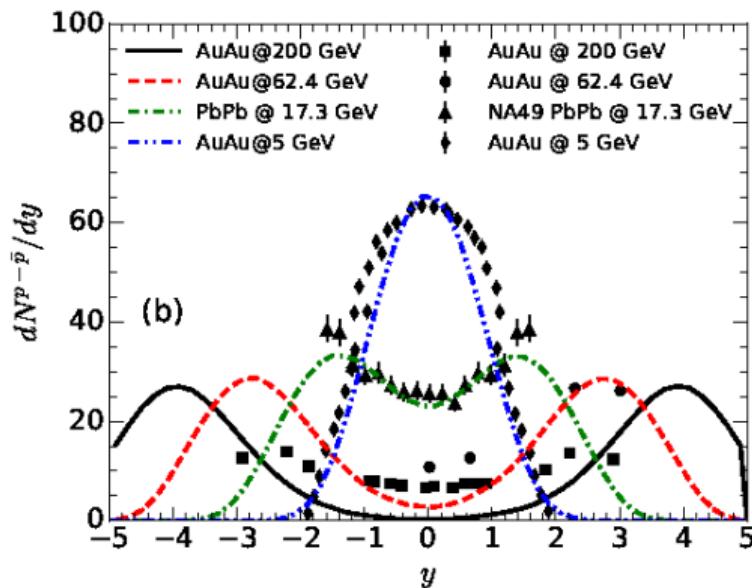
Exploring the QCD Phase Diagram



- ▶ Investigate regions with high μ_B to search for a phase transition and a critical point

Baryon Stopping

- Net proton number $N^{p-\bar{p}}$ to measure stopped protons from initial nuclei



- Shape of $dN^{p-\bar{p}}/dy$ is strongly energy dependent
 - $\sqrt{s_{NN}} \approx 5$ GeV: Baryons are stopped around mid rapidity
 - $\sqrt{s_{NN}} > 60$ GeV: Nuclei pass through each other
- First nucleon-nucleon interactions play most important role

C. Shen, B. Schenke, 10.1103/PhysRevC.97.024907

Transport Model SMASH

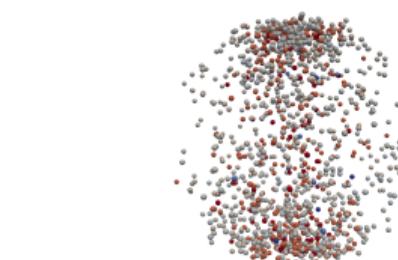
- ▶ Hadronic degrees of freedom
- ▶ Geometric collision criterion:

$$d_{\text{trans}} < \sqrt{\frac{\sigma_{\text{tot}}}{\pi}}$$

- ▶ Established hadrons from PDG up to $m \approx 2 \text{ GeV}$
- ▶ Effectively solving relativistic Boltzmann equation

J.Tindall et al. 10.1016/j.physletb.2017.04.080

- ▶ Inelastic processes via resonances, soft strings or Pythia directly, depending on energy



Gold-gold collision at $\sqrt{s_{NN}} = 10 \text{ GeV}$ In SMASH

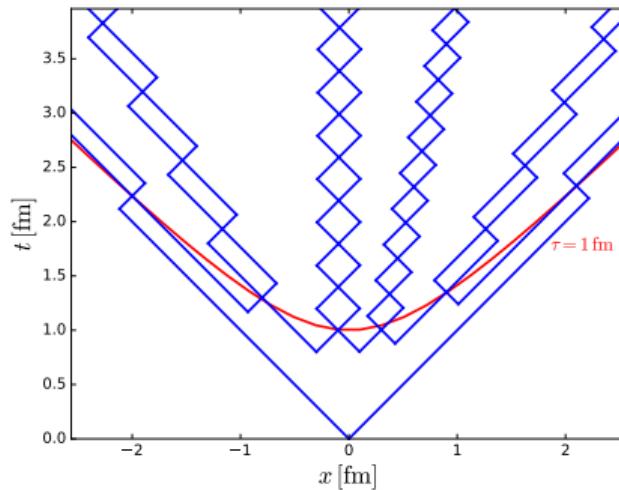
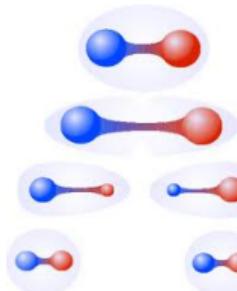
J.Weil et al. 10.1103/PhysRevC.94.054905

String Model

- ▶ Massless quarks with momentum p_1, p_2 and position x_1, x_2
- ▶ Motion according to:

$$H = |p_1| + |p_2| + \kappa|x_1 - x_2|$$

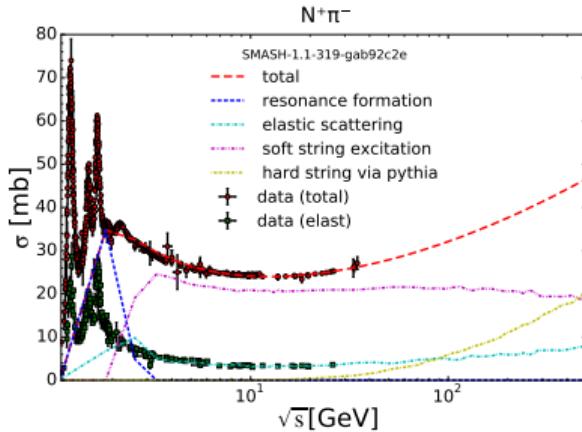
- ▶ $\kappa \approx 1 \text{ GeV/fm}$: String tension
- ▶ New $q\bar{q}$ pairs are produced
- ▶ String fragments into hadrons
- ▶ Hadrons are formed around a constant proper time



Strings in SMASH

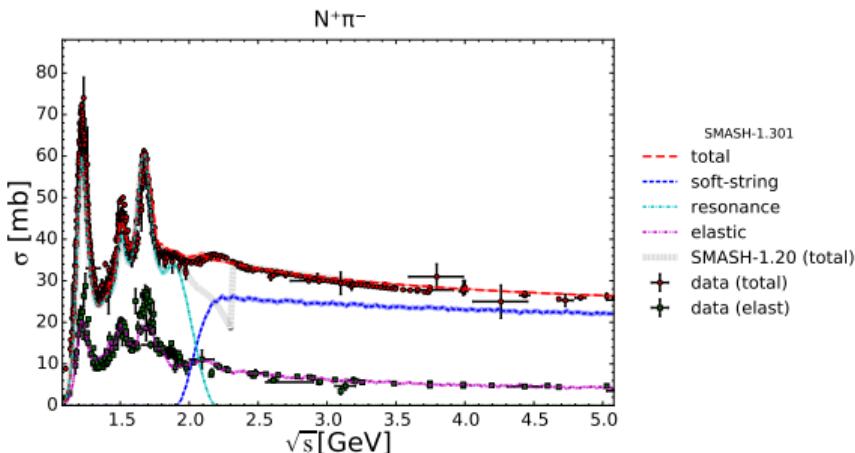
Hard processes:

- ▶ Dominate for high \sqrt{s}
- ▶ Pythia to excite and fragment strings
- ▶ Map colliding hadron species to nucleons and pions



Soft processes:

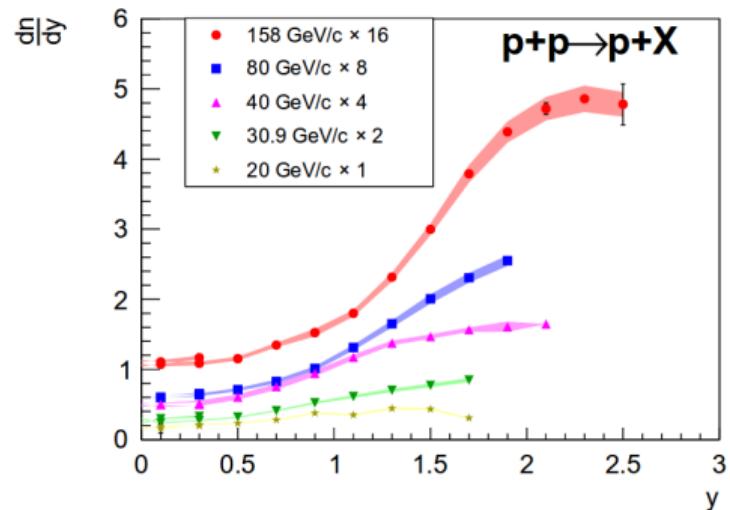
- ▶ Dominate at intermediate \sqrt{s}
- ▶ Excite strings and call Pythia only for fragmentation
- ▶ Includes single diffractive, double diffractive and non-diffractive subprocesses



System and Observables

- ▶ Reproduce experimental p+p data before investigating baryon stopping in larger systems
- ▶ Most important are dynamics of string fragments and initial protons
- ▶ Particle multiplicities
- ▶ Rapidity spectra
- ▶ $\langle p_T \rangle$ as function of x_F

$$x_F = \frac{p_z}{p_{z,\text{beam}}}$$

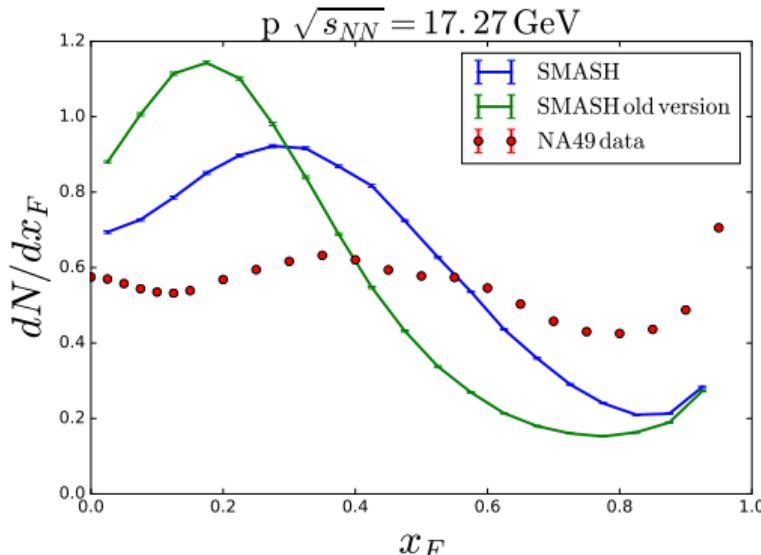


NA61 10.1140/epjc/s10052-017-5260-4

- ▶ Which results are influenced by string parameters and how?

Fragmentation Function for Leading Baryons

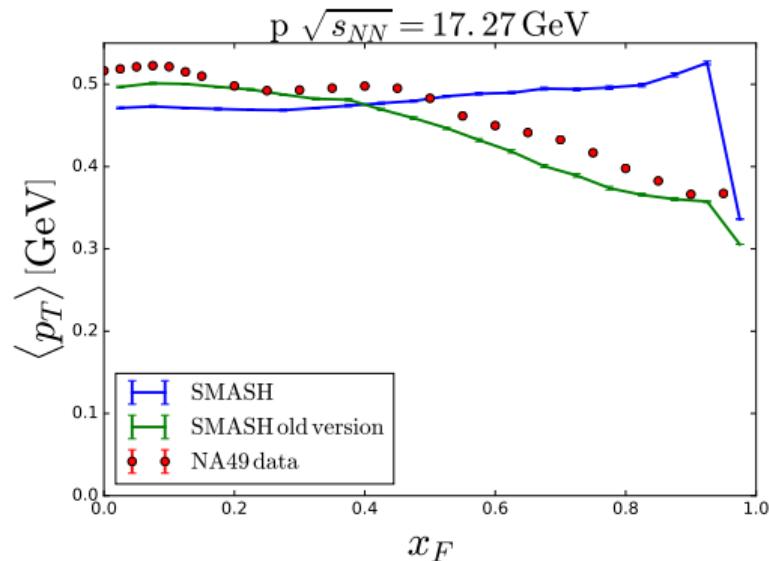
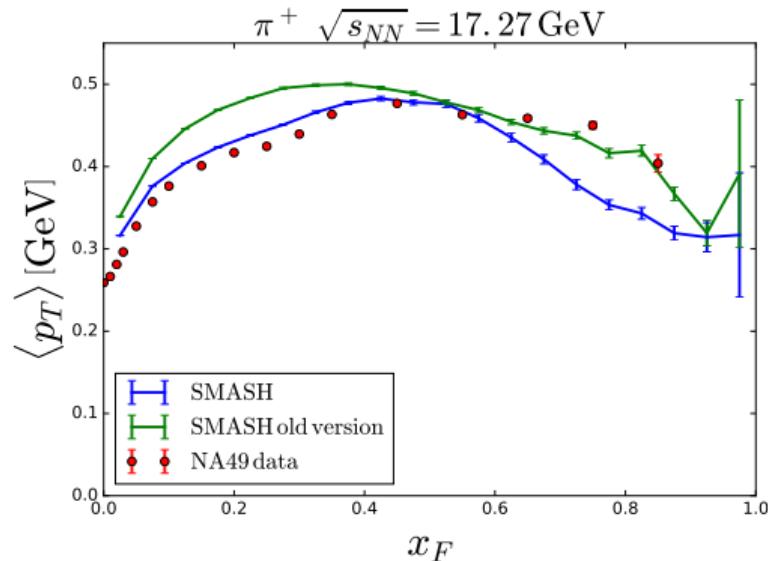
- ▶ Fragmentation function for sampling light cone momentum fraction for each string fragment
- ▶ Use a different fragmentation function for leading baryons to increase longitudinal momentum of protons



- ▶ Old version: use Lund fragmentation function consistently
- ▶ New version: use Gaussian with $\mu = 1$ and $\sigma = 0.6$ for leading Baryons
- ▶ Slightly better agreement with data for longitudinal momentum

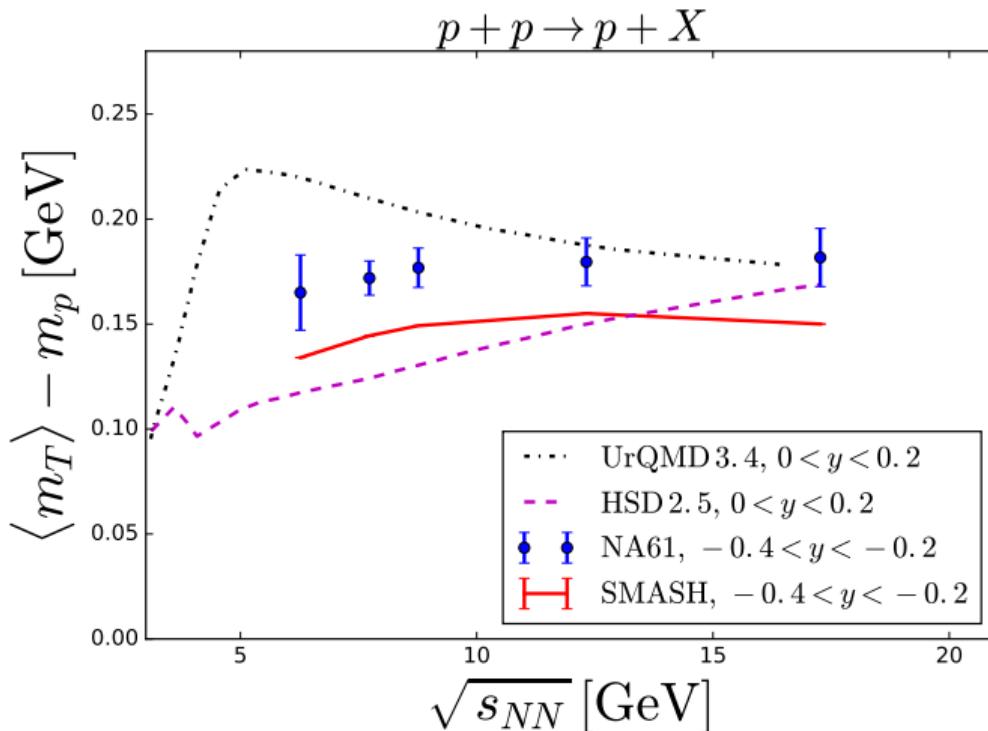
$$x_F = \frac{p_z}{p_{z,\text{beam}}}$$

Transverse Momentum



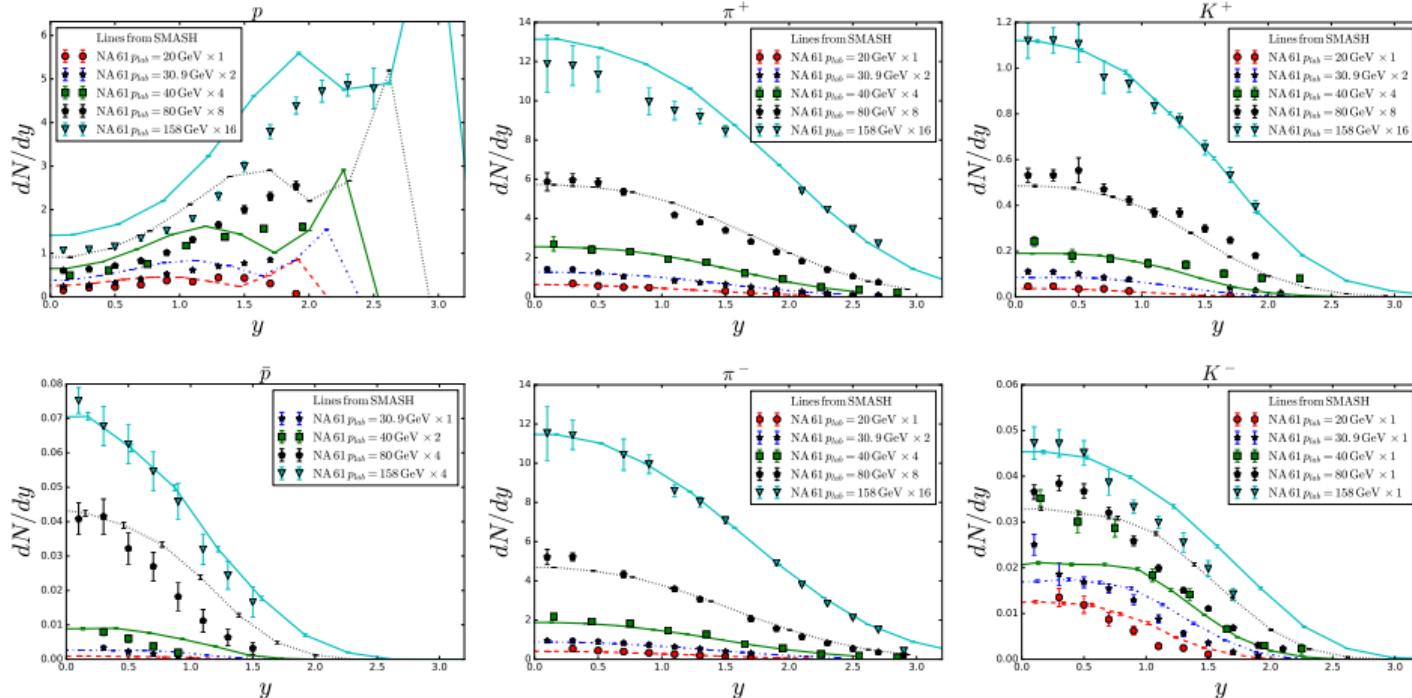
- ▶ Reasonable agreement for transverse momentum using only symmetric Lund fragmentation function

Proton Mean Transverse Mass



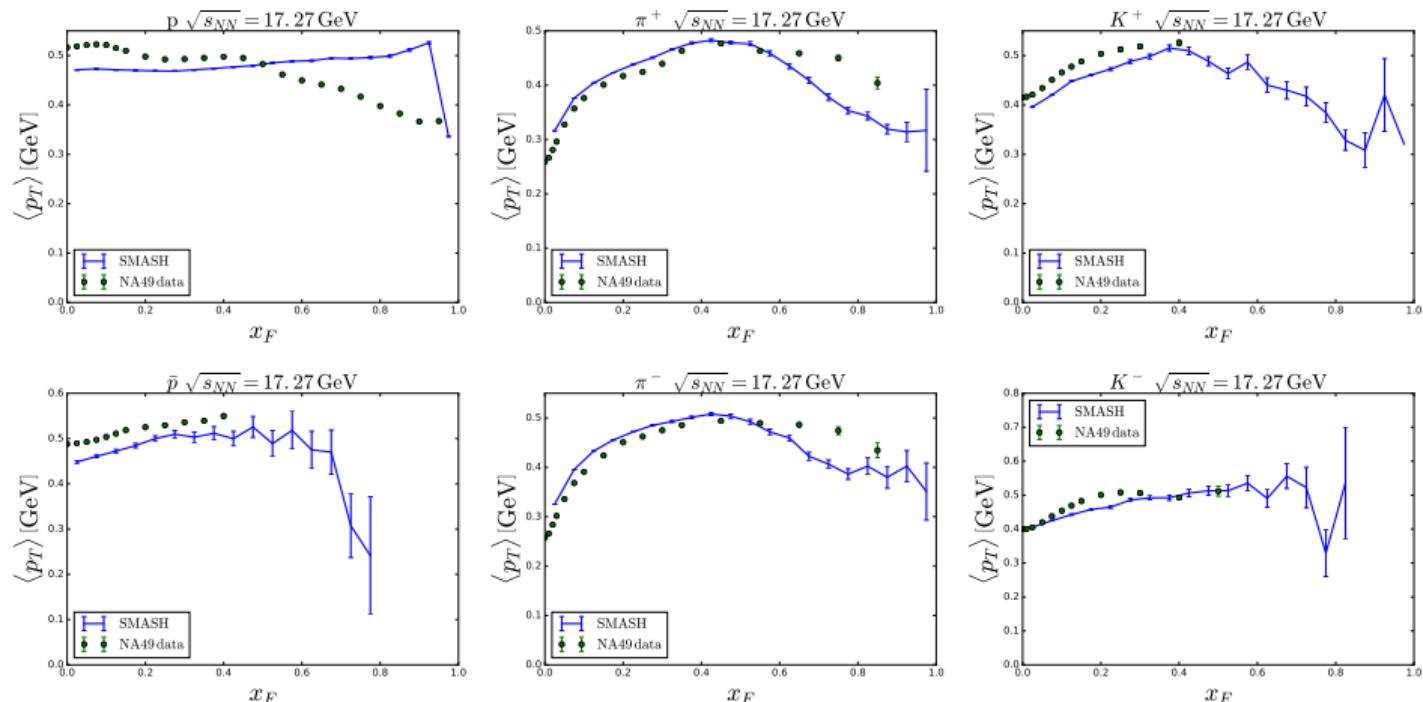
- ▶ Transverse momentum underestimated at mid rapidity as shown before
- ▶ Energy dependence looks reasonable

Overview p+p Rapidity Spectra



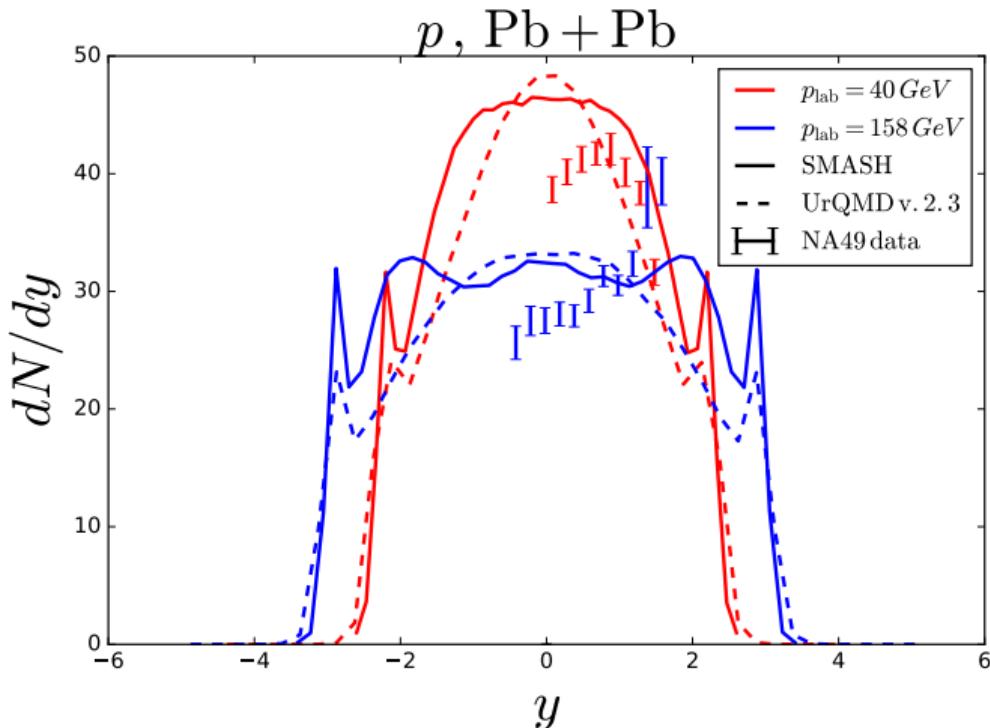
- ▶ Fragmentation function, strangeness suppression and diquark suppression tuned to data

Overview p+p mean p_T



- ▶ Transverse momentum transfer and transverse momentum production from string fragmentation tuned to data

Heavy Ion Collisions

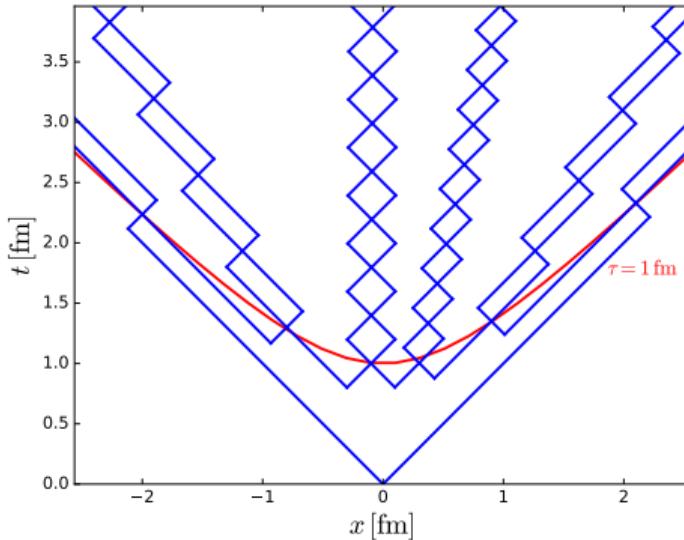


- ▶ First calculation for heavy ions after tuning to p+p data
- ▶ Protons are stopped too much but less than in UrQMD
- ▶ Understand interaction of string fragments

Formation Times

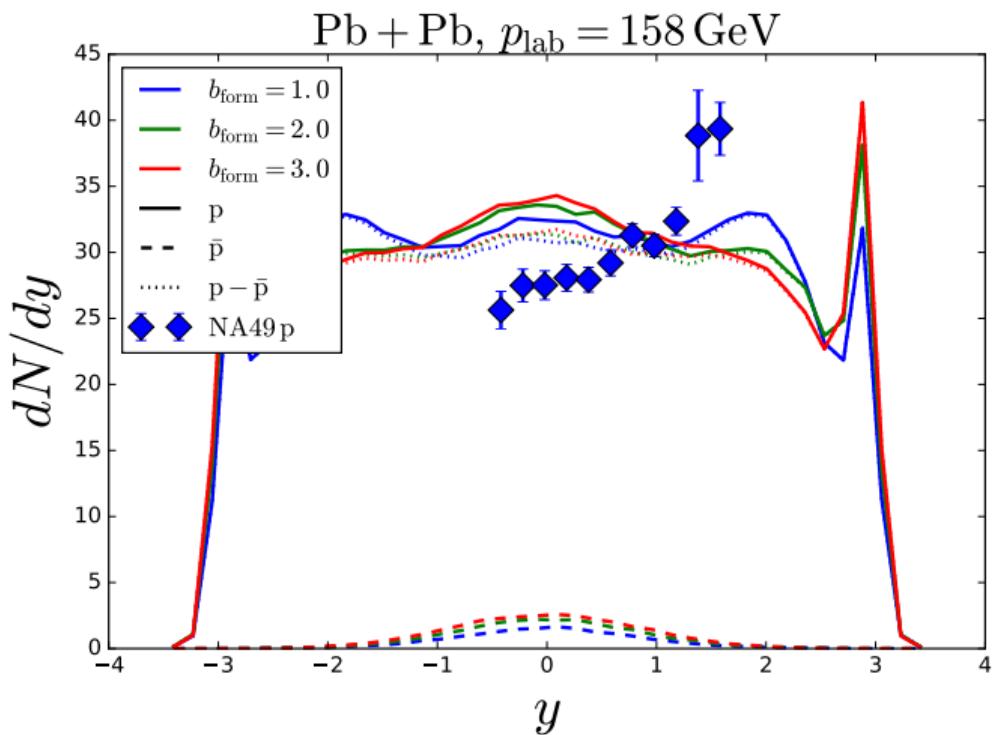
- ▶ String fragments need time to form
- ▶ Formation times are distributed around constant proper time
- ▶ Calculate formation times from yoyo-formalism

$$\langle \tau_{\text{form}} \rangle = \frac{\sqrt{2}m}{\kappa}$$



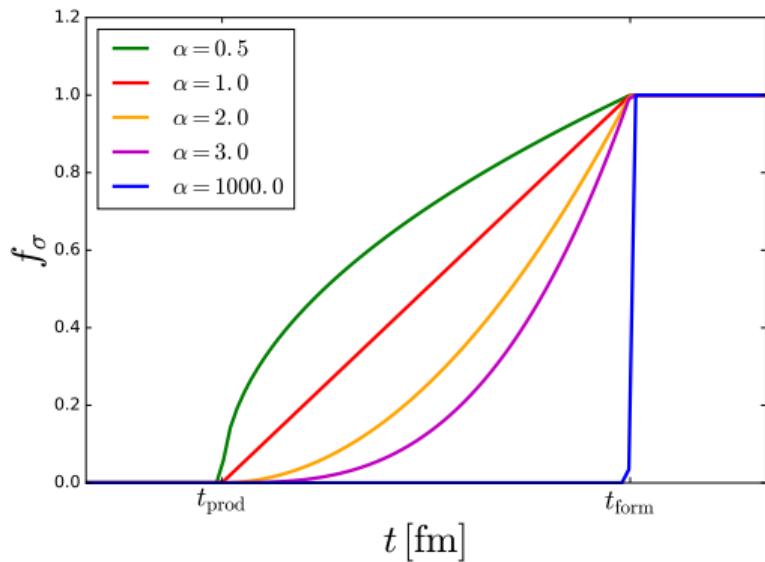
Effect of Formation Times

- ▶ Multiply formation time from yoyo-formalism with factor b_{form}
- ▶ Protons stopped more at mid rapidity for larger formation times
- ▶ Unexpected since larger formation times means less interactions
- ▶ Need to study time dependence of collision number and rapidity distribution



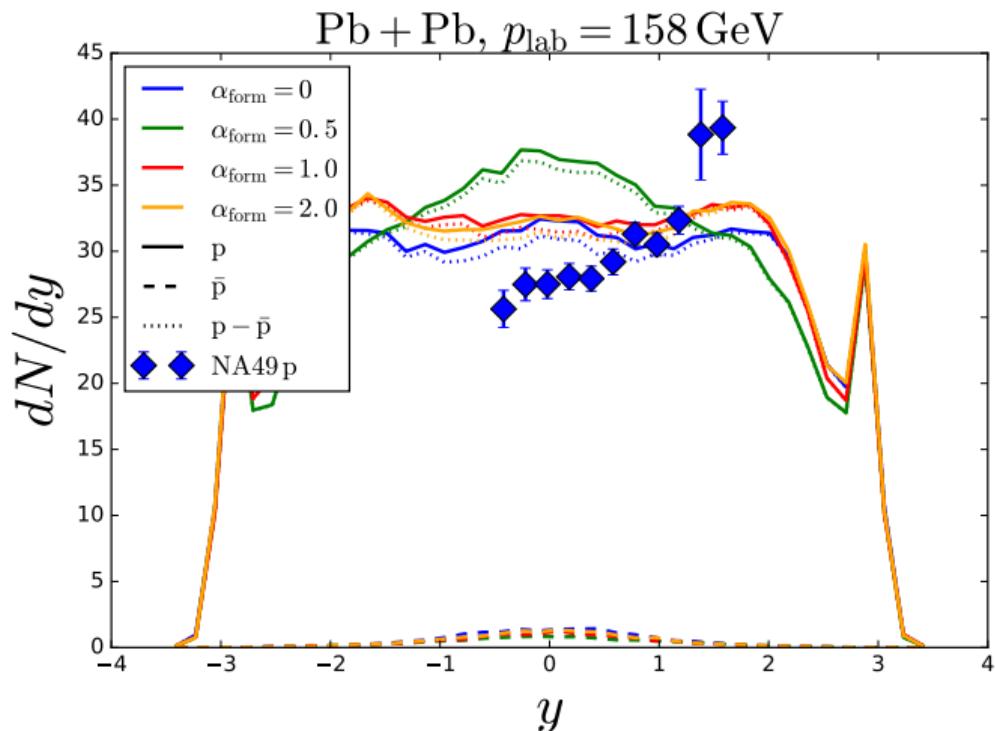
Cross Section Scaling Factors

- ▶ During formation time cross section is scaled down by factor f_σ
- ▶ By default use a Heavyside function in time for f_σ
- ▶ One can also have f_σ grow with a given power α in time



K. Gallmeister U. Mosel 10.1016/j.nuclphysa.2007.12.009

Results for Different Powers α



- ▶ Lines labeled $\alpha = 0$ use a step function
- ▶ Large impact on dN/dy when going to $\alpha = 0.5$
- ▶ Very short time after initial collision most important
- ▶ Steady increase of scaling factor dissolves bump at mid rapidity

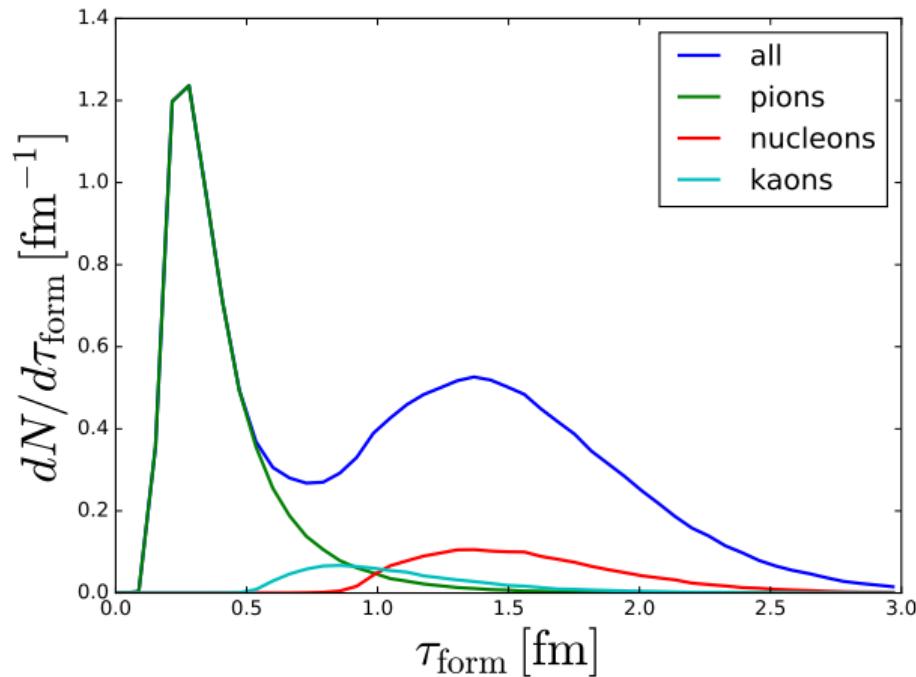
Summary

- ▶ String model parameters tuned to p+p data at SPS energies
- ▶ p+p results agree with experimental data for produced hadrons
- ▶ Proton y or x_F improved but still needs investigation
- ▶ Calculation for heavy ion collisions show slightly too much stopping
- ▶ Insights on the role of formation times and cross section scaling factors for baryon stopping gained

Outlook

- ▶ Experimental $p+p$ and $Pb+Pb$ proton rapidity spectra look similar
→ Turn off all secondary collisions
- ▶ Understand which kind of reactions are responsible for stopping
- ▶ More rigorous study of parameter dependencies in fragmentation functions to match $p+p$ data
- ▶ Investigate interplay of formation times and cross-section scaling factors

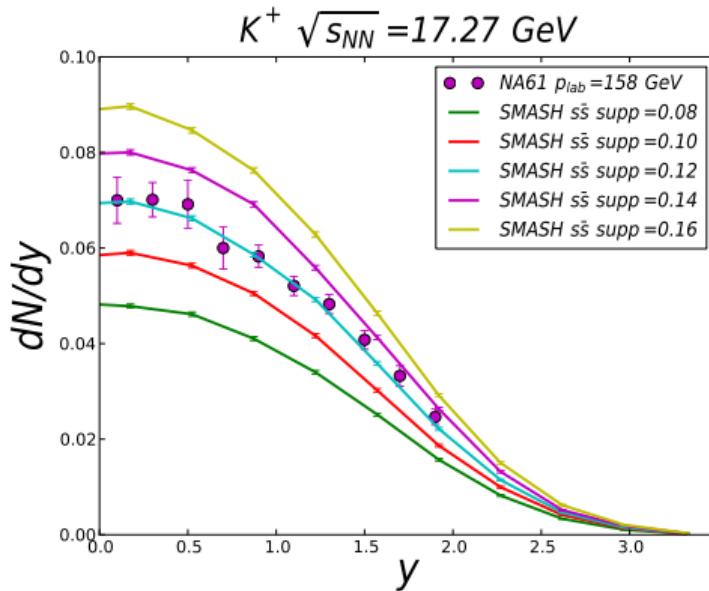
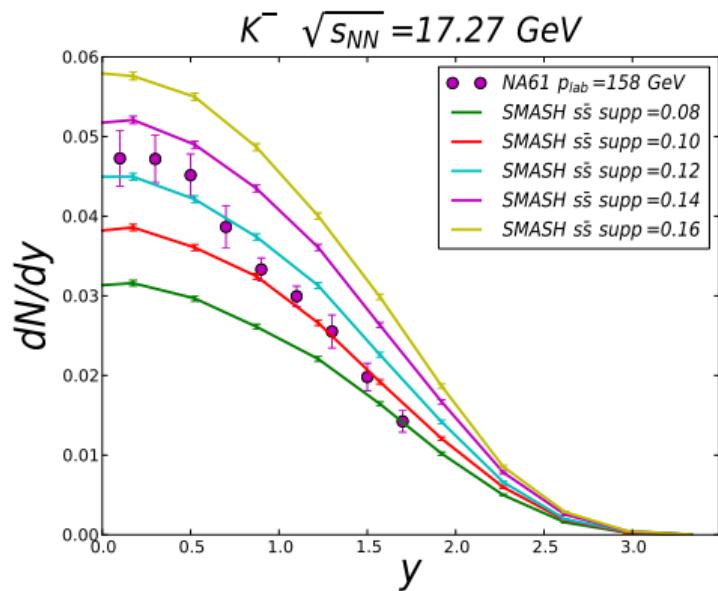
Backup: Formation Time Distribution



$$\langle \tau_{\text{form}} \rangle = \frac{\sqrt{2}m}{\kappa}$$

Backup: Strangeness Suppression

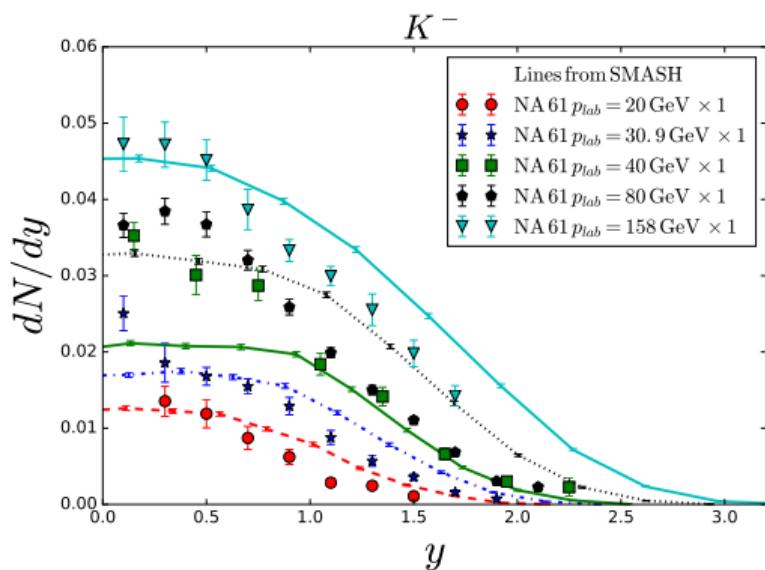
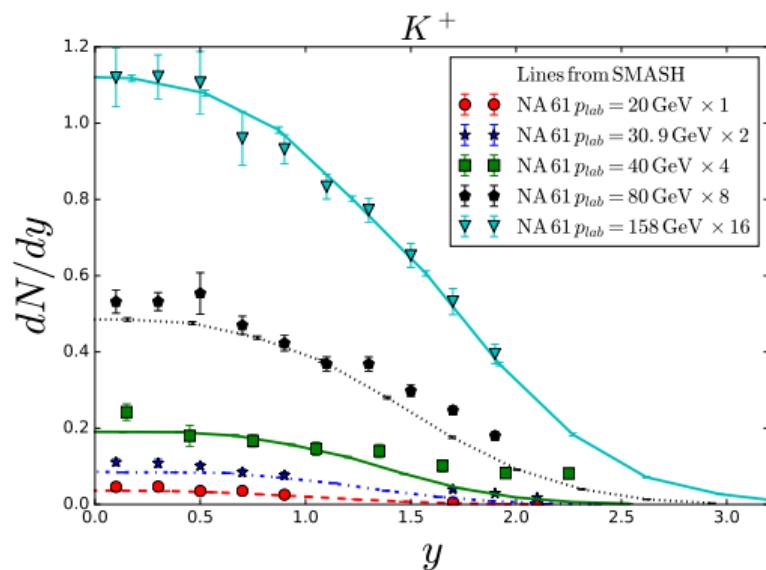
- ▶ Pythia parameter to define the probability to produce an $s\bar{s}$ relative to $u\bar{u}$ or $d\bar{d}$



- ▶ Non-strange hadrons are also slightly affected
- ▶ Strangeness suppression set to 0.12

Backup: Strangeness Suppression

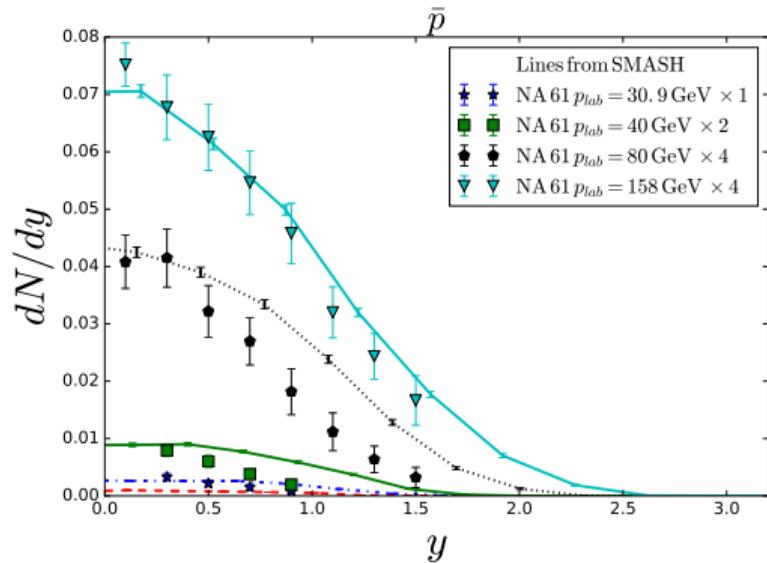
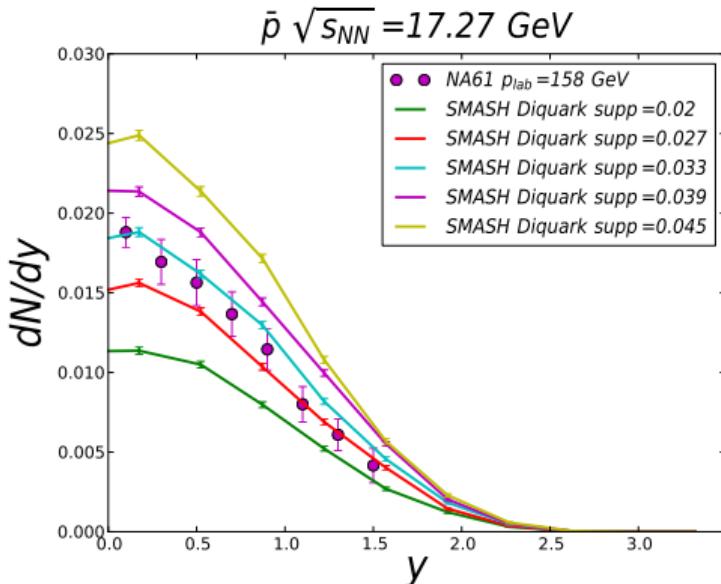
- Energy dependence of Kaon yields hard to reproduce for all species simultaneously



- Strangeness suppression not energy dependent in SMASH

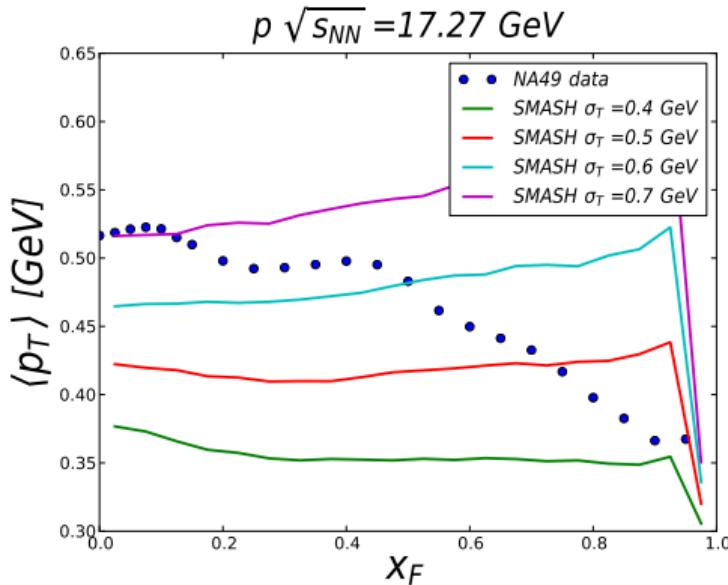
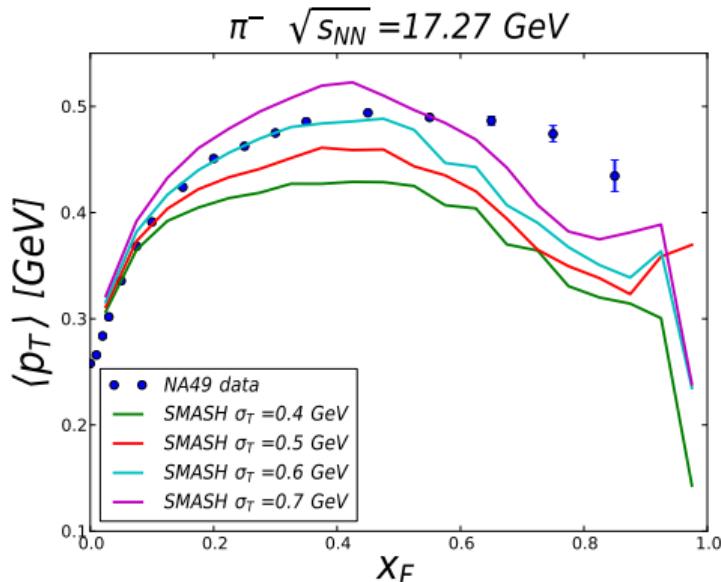
Backup: Diquark Suppression

- ▶ Pythia parameter to define probability to produce $qq\bar{q}\bar{q}$ relative to $q\bar{q}$
- ▶ Antiprotons sensitive to diquark suppression



- ▶ Reasonable agreement with data for a value of 0.042

Backup: Transverse Momentum Transfer

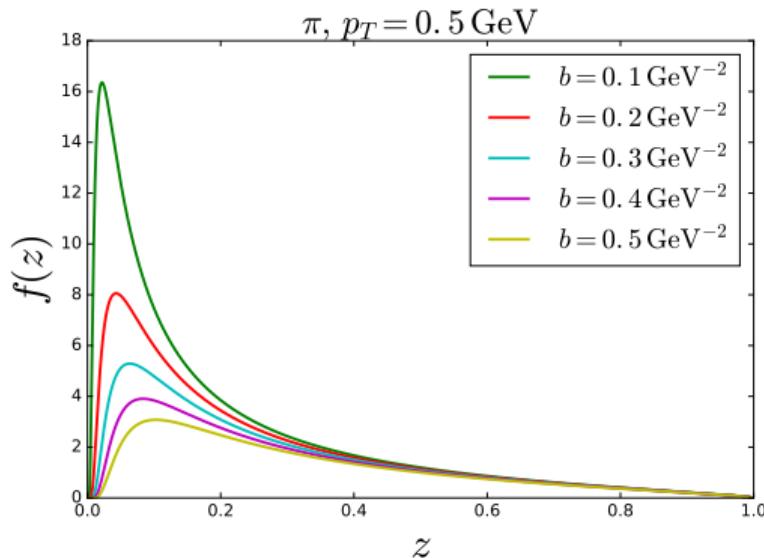
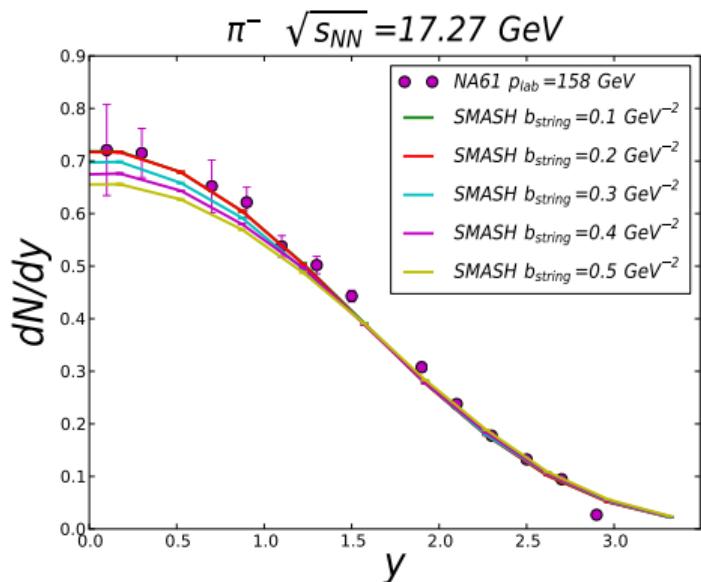


- ▶ Varying the width σ_T in Gaussian to sample transverse momentum transfer
- ▶ Allowing more transverse momentum transfer increases $\langle p_T \rangle$
- ▶ Protons and other mesons not simultaneously reproducible

Backup: Fragmentation Function

- ▶ Fragmentation function used in PYTHIA:

$$f(z) = \frac{1}{z} (1-z)^a \exp\left(-b \frac{m_T^2}{z}\right)$$



- ▶ Sample light cone momentum fraction z for each string fragment
- ▶ Is tuned to the shape of pion dN/dy

Backup: Soft String Processes in SMASH

Single diffractive: $A + B \rightarrow A + X$ or $A + B \rightarrow X + B$

- ▶ Two hadrons collide, exchange momentum and **one** of the hadrons is excited to a string
- ▶ Mass M_X of the string and transferred transverse momentum p_T are sampled according to:

$$\frac{d^3 N}{dM_X^2 d^2 \mathbf{p}_T} \propto \frac{1}{M_X^2} \exp\left(-\frac{p_T^2}{\sigma_T^2}\right)$$

G. Ingelman and P. E. Schlein 10.1016/0370-2693(85)91181-5

Double diffractive: $A + B \rightarrow X + X$

- ▶ Two hadrons exchange a pomeron and are **both** excited to a string
- ▶ Light-cone momentum fraction x of gluons exchanging a pomeron is sampled from PDF:

$$\text{PDF} \propto \frac{1}{x} (1-x)^{\beta+1}$$

Backup: Soft String Processes in SMASH

Non-diffractive:

- ▶ Two hadrons exchange a valence quark and are excited to strings
- ▶ Light cone momentum fraction of quarks sampled from PDF:

$$\text{PDF} \propto x^{\alpha-1}(1-x)^{\beta-1}$$

- ▶ Transverse momentum sampled from Gaussian

A.Capella et al. 10.1016/0370-2693(79)90718-4

Subprocess selection:

- ▶ From experimental σ_{tot} and σ_{el}

$$\sigma_{\text{inel}} = \sigma_{\text{tot}} - \sigma_{\text{el}}$$

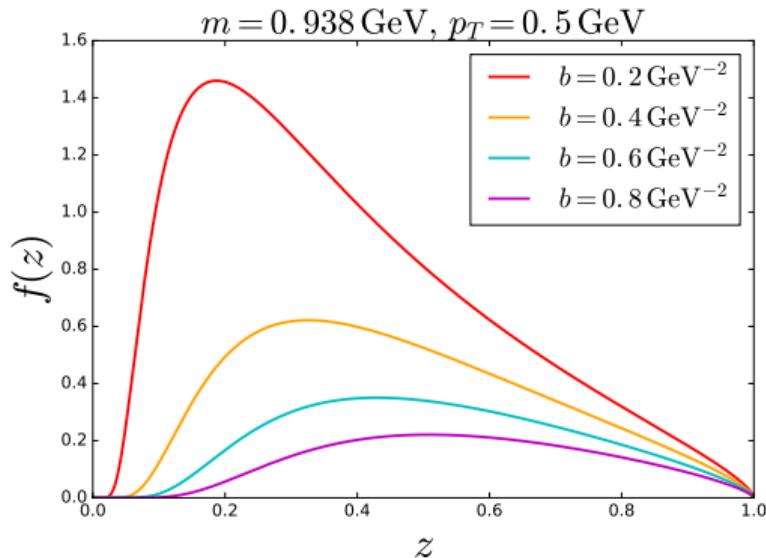
- ▶ With parametrization of σ_{SD} and σ_{DD} from Pythia

$$\sigma_{\text{ND}} = \sigma_{\text{inel}} - \sigma_{\text{SD}} - \sigma_{\text{DD}}$$

Backup: Fragmentation Function

- ▶ Symmetric Lund fragmentation function used in PYTHIA

$$f(z) = \frac{1}{z} (1-z)^a \exp\left(-b \frac{m_T^2}{z}\right)$$



- ▶ Fragmentation function for leading baryons

$$f_{\text{leading}}(z) \propto \exp\left(-\frac{(z-1.0)^2}{0.6^2}\right)$$

