

Multiple Higgs Production at the LHC

Ignacio Fabre

PhD Student at

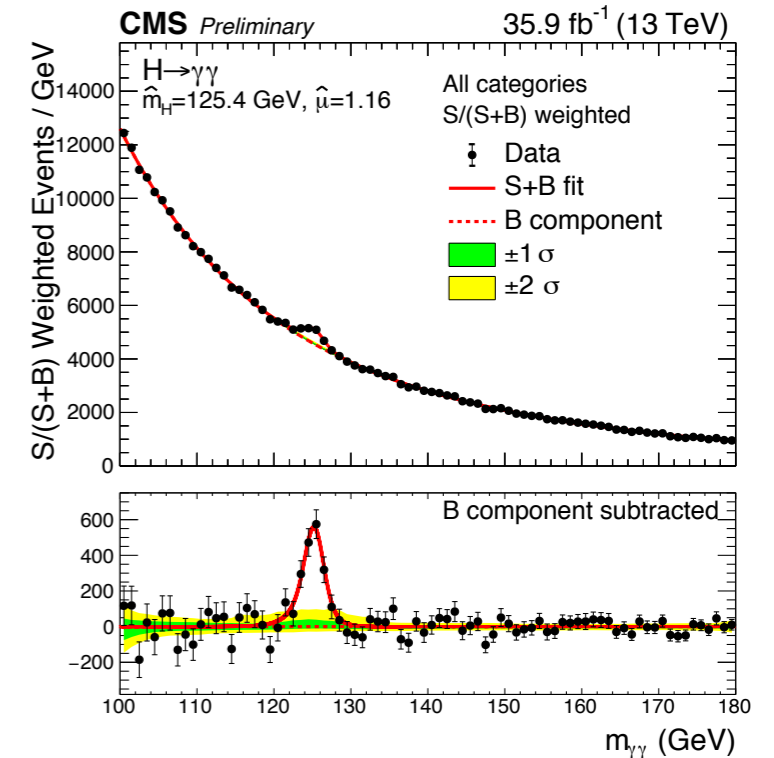
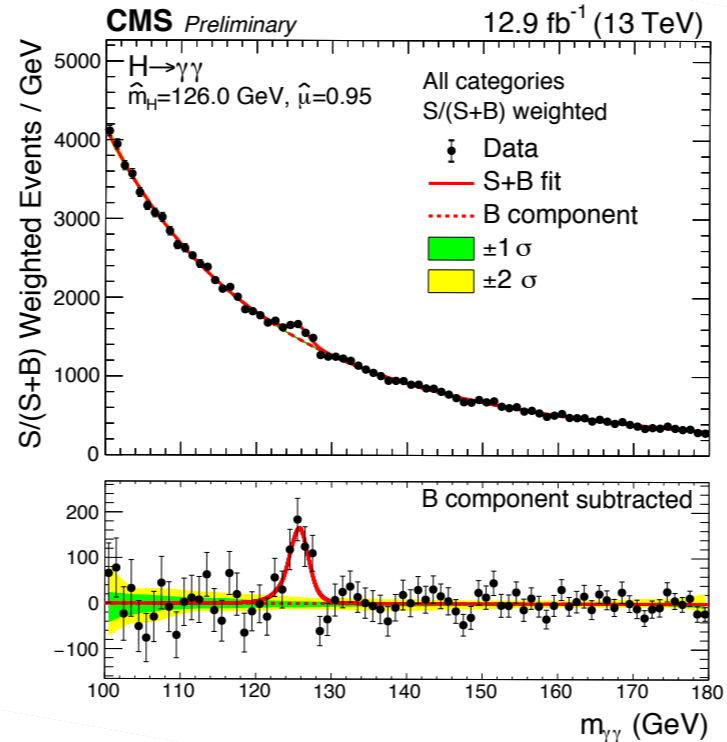
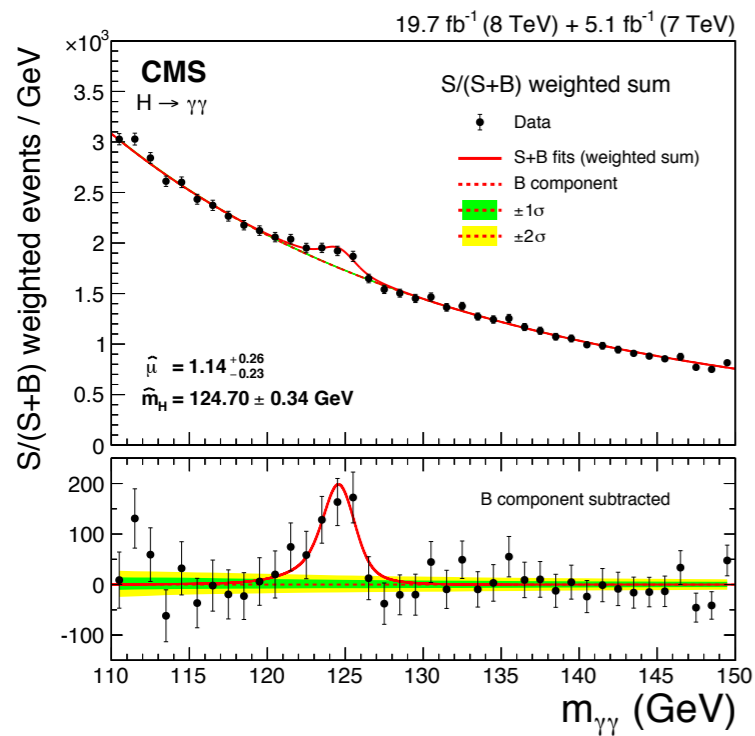
ICAS - UNSAM

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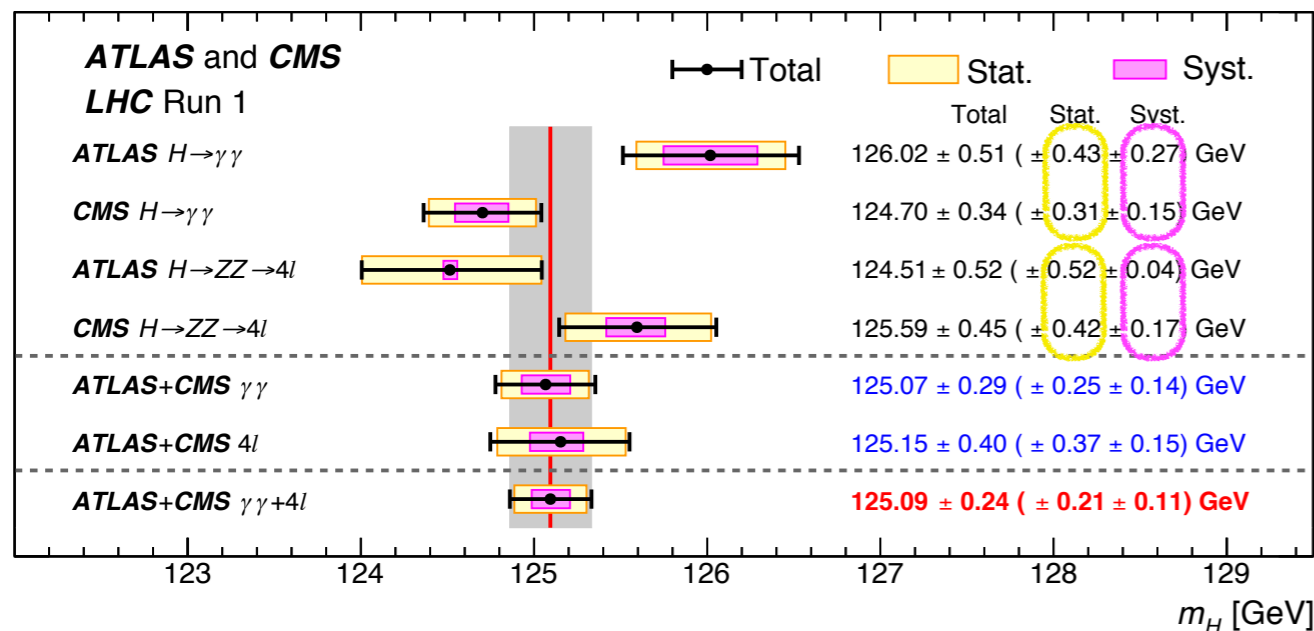


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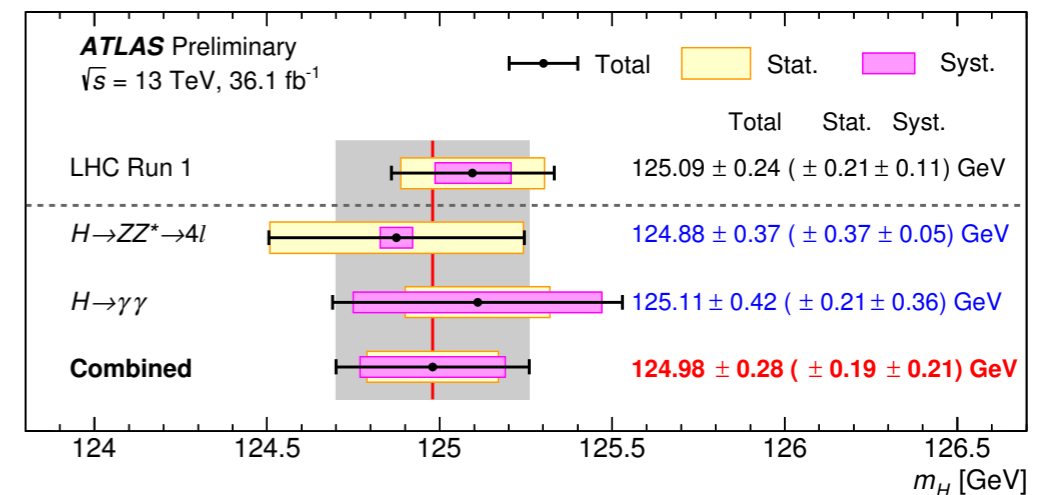
Higgs discovered, re-discovered and re-re-discovered



► Run I mass combination: ATLAS and CMS (2015) **125.09 GeV**

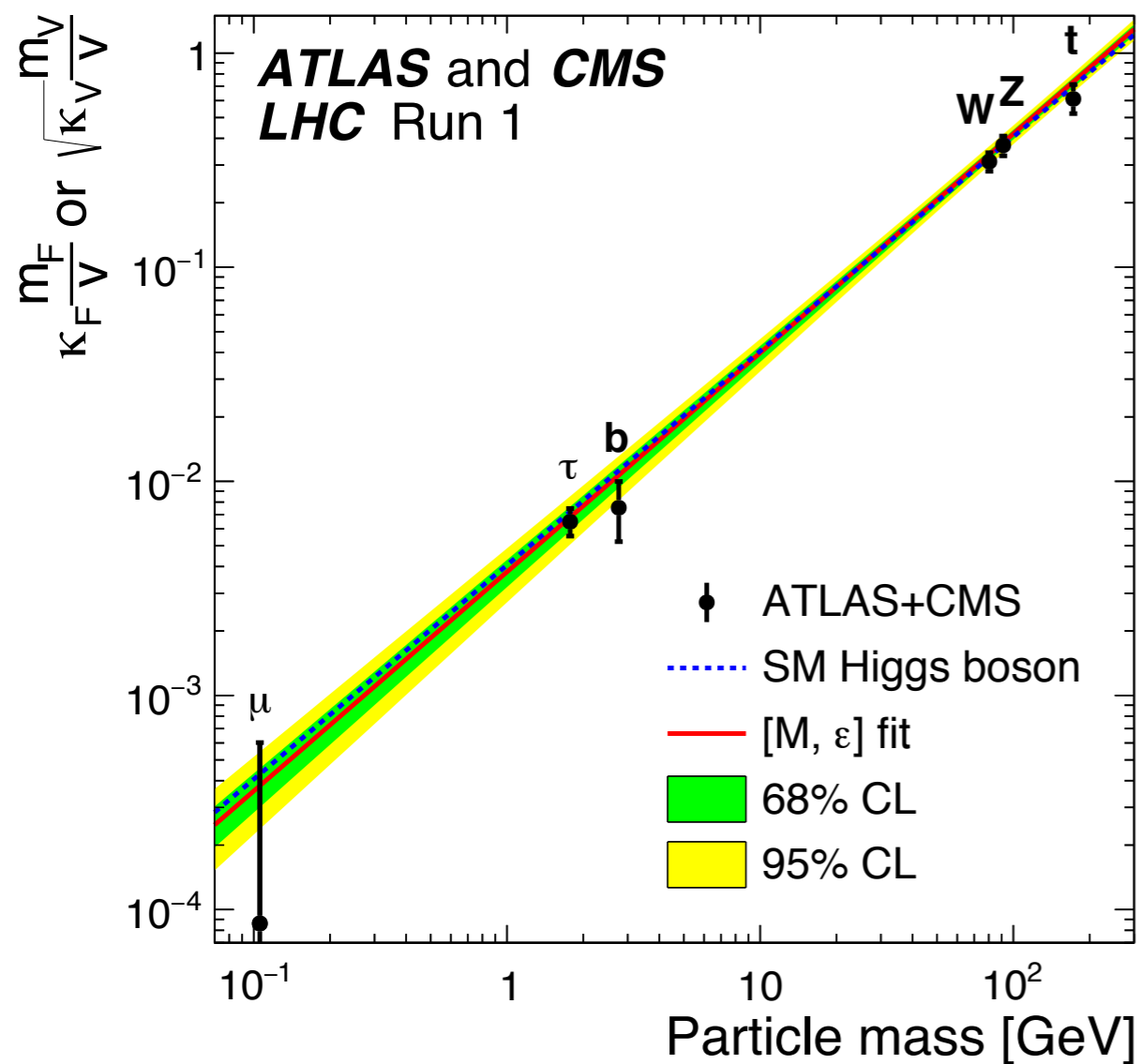


now similar precision in one exp

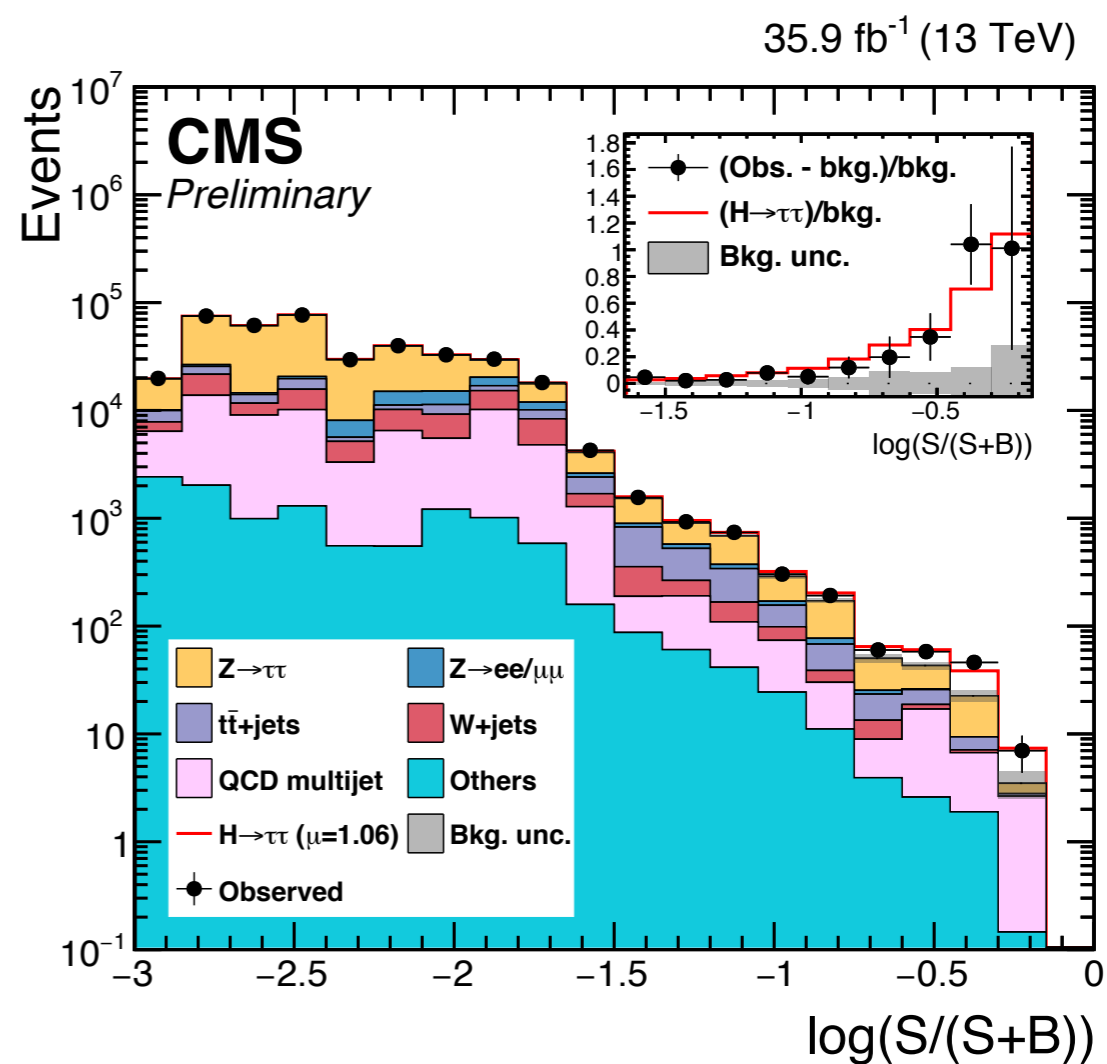


► Uncertainty in mass ~ 0.2% , better than for top (~0.5%)!

Couplings



OBSERVATION OF $H \rightarrow \tau\tau$



Observed significance is 4.9 σ

5.9 when combined with CMS Run I

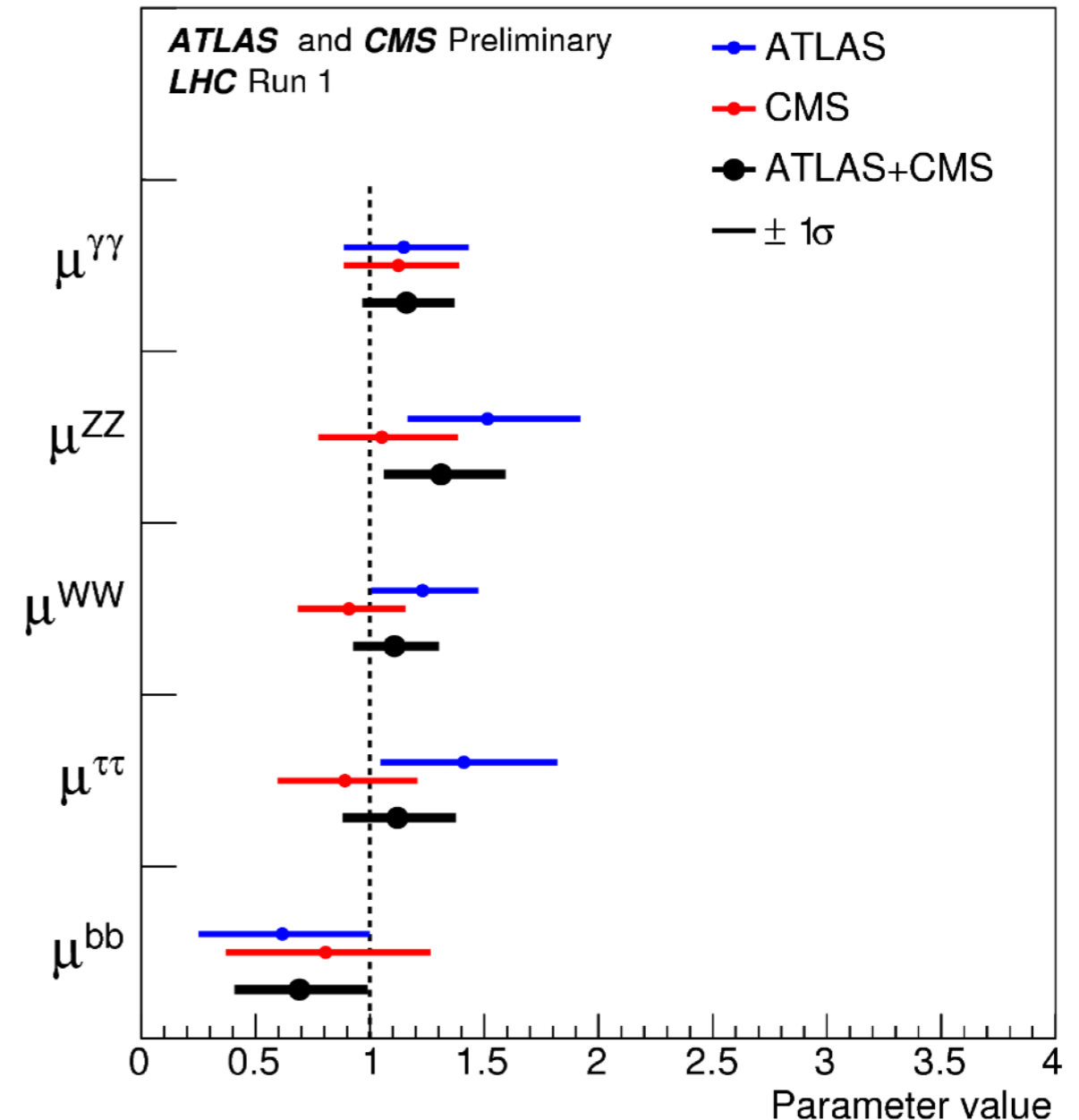
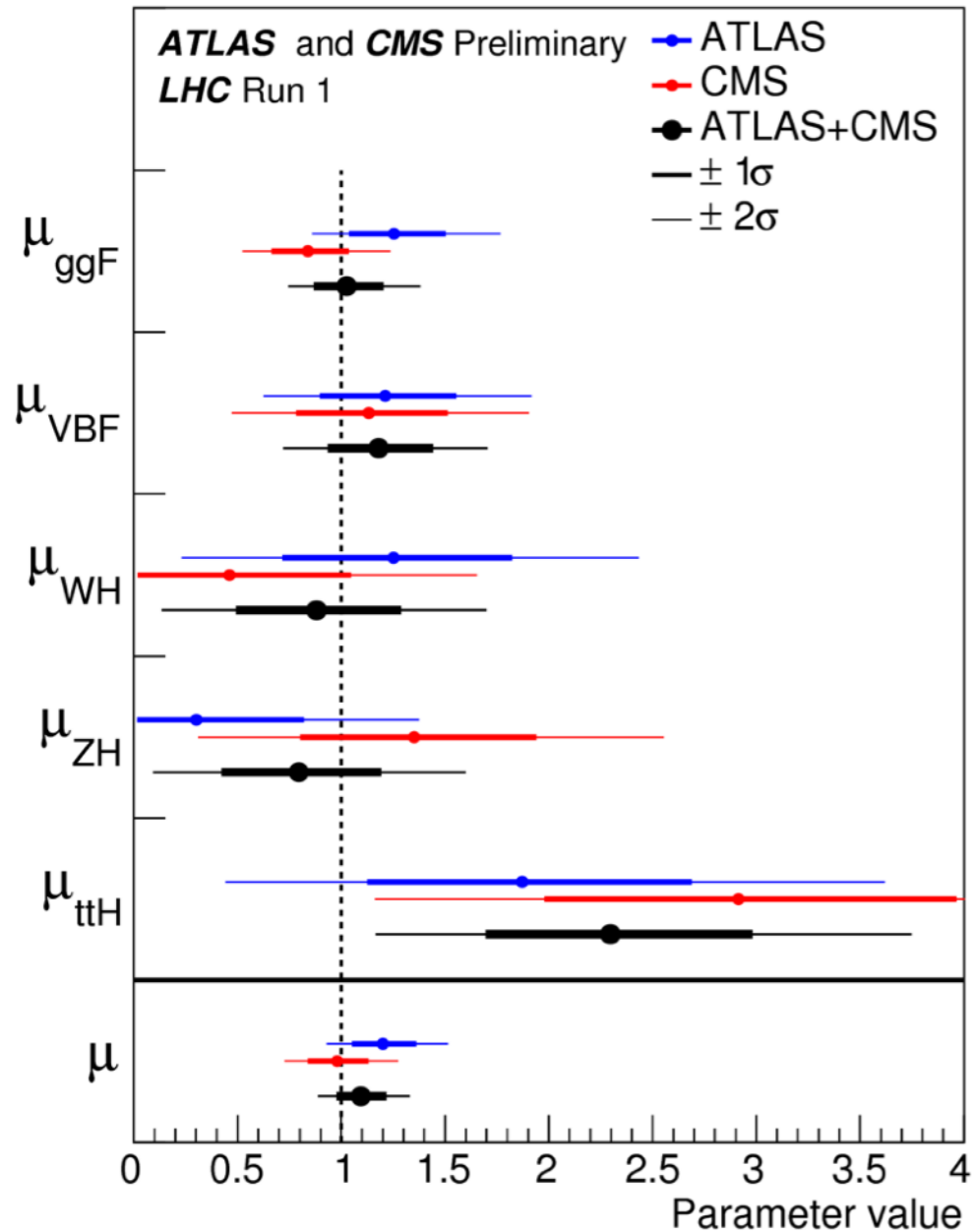
Best Fit signal strength : 1.06 ± 0.25

Cross sections in “agreement” with SM in all channels (large errors yet)

Signal strength

$$\mu = \frac{\sigma}{\sigma_{SM}}$$

similar for Run 2



$$\frac{\sigma}{\sigma_{SM}} \equiv \mu = 1.09 \pm 0.07(stat) \pm .04(syst) \pm .03(th\ bckd)_{-.06}^{+.07}(th\ signal)$$

WHY MULTIPLE HIGGS?

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Scalar Symmetry Breaking potential in the SM:

$$V = \frac{\lambda}{4} (2vH + H^2)^2 = \frac{1}{2}(2\lambda v^2)H^2 + \lambda v H^3 + \frac{\lambda}{4} H^4$$

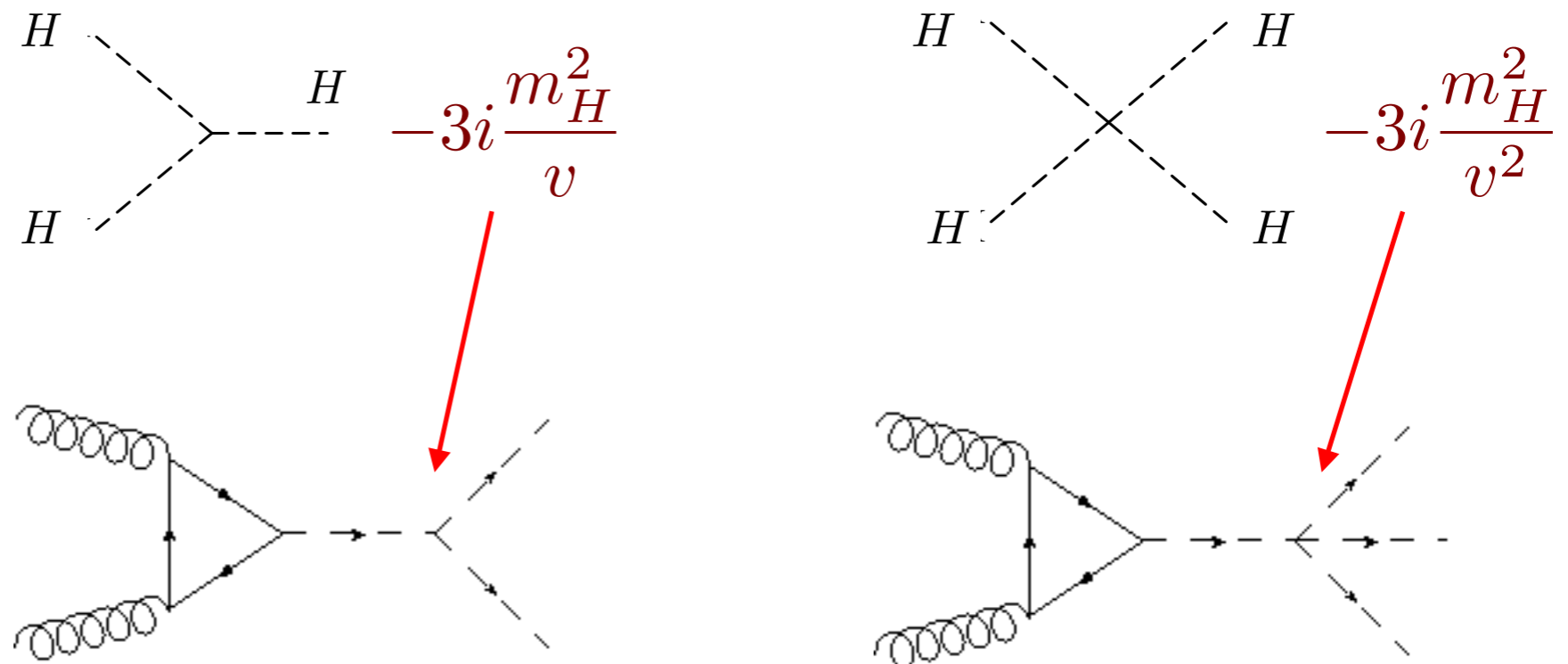
Self coupling fixed by measurement of the Higgs mass and VEV!

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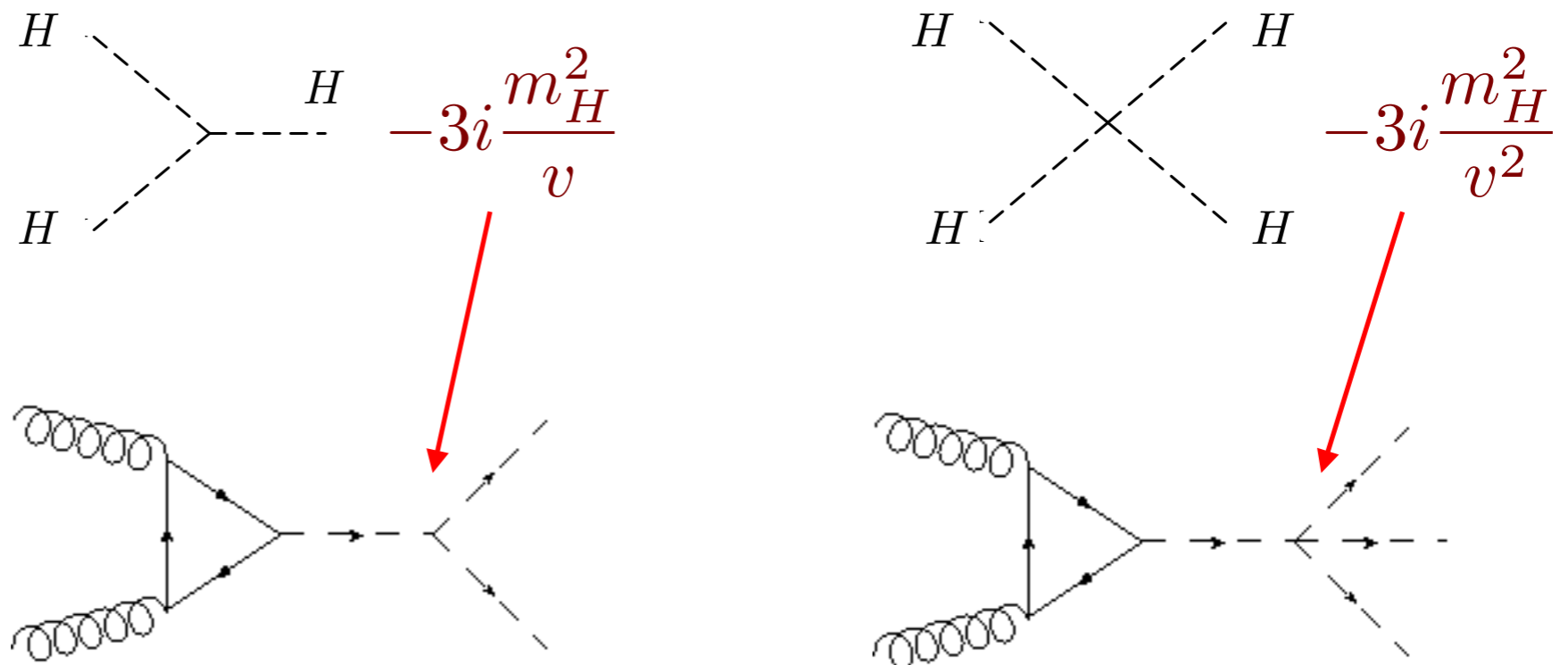
To be seen in:

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To be seen in:

BECAUSE IS FUNDAMENTAL TO TEST THE SCALAR POTENTIAL

SM is an effective theory:

Let's move to higher dimension operators

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SM EFT: Warsaw basis \rightarrow 2499 non-redundant 6-dim operators

Phenomenological use: Subsets, e.g. SILH \subset Warsaw

Relevant for HH production: H-top & H-G interactions

$$\mathcal{L}_6^{\text{SILH}} \supset \frac{\bar{c}_H}{2v^2} \partial_\mu (H^\dagger H) \partial^\mu (H^\dagger H) + \frac{\bar{c}_u}{v^2} y_t (H^\dagger H \bar{q}_L H^c t_R + h.c.) \\ - \frac{\bar{c}_6}{6v^2} \frac{3M_h^2}{v^2} (H^\dagger H)^3 + \bar{c}_g \frac{g_s^2}{M_W^2} H^\dagger H G^{a\mu\nu} G_{\mu\nu}^a,$$

Giudice et al. 2007

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HEFT: Interactions that involve the Higgs singlet only:

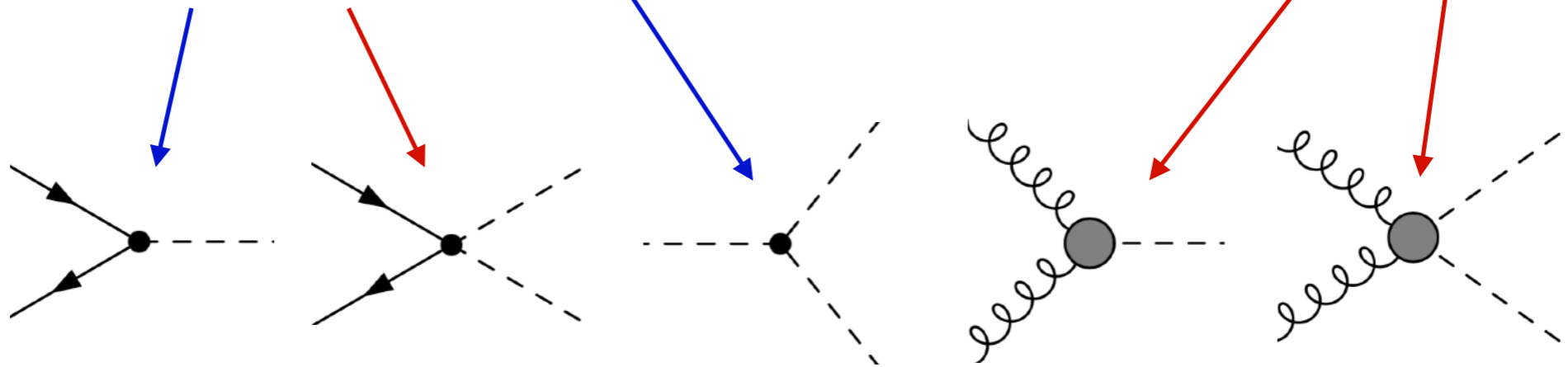
$$\mathcal{L}_{\text{non-lin}} \supset -M_t \bar{t}t \left(c_t \frac{h}{v} + c_{tt} \frac{h^2}{2v^2} \right) - c_3 \frac{1}{6} \left(\frac{3M_h^3}{v} \right) h^3 \\ + \frac{\alpha_s}{\pi} G^{a\mu\nu} G_{\mu\nu}^a \left(c_g \frac{h}{v} + c_{gg} \frac{h^2}{2v^2} \right)$$

Non-linear
realization of EWSM

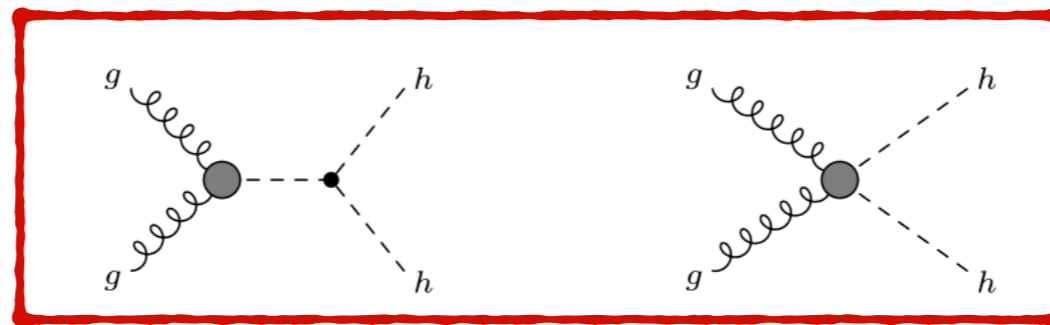
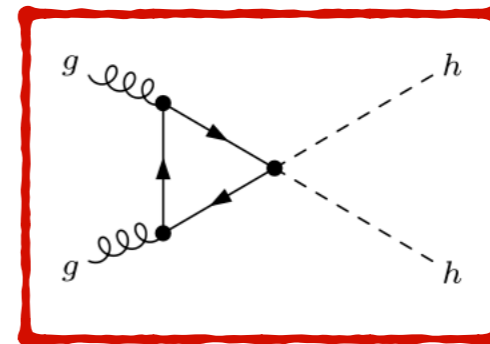
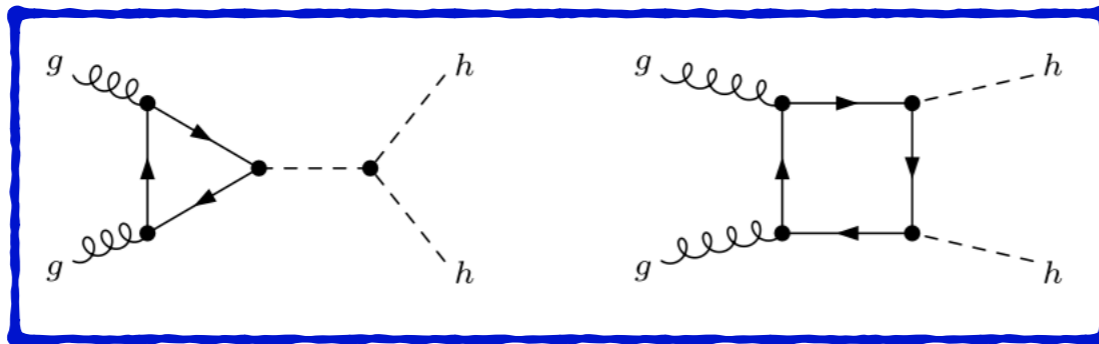
Contino et al. 2010

Linearly (in $\Lambda^{-1}_{\text{EFT}}$) equivalent if $c_g = c_{gg}$

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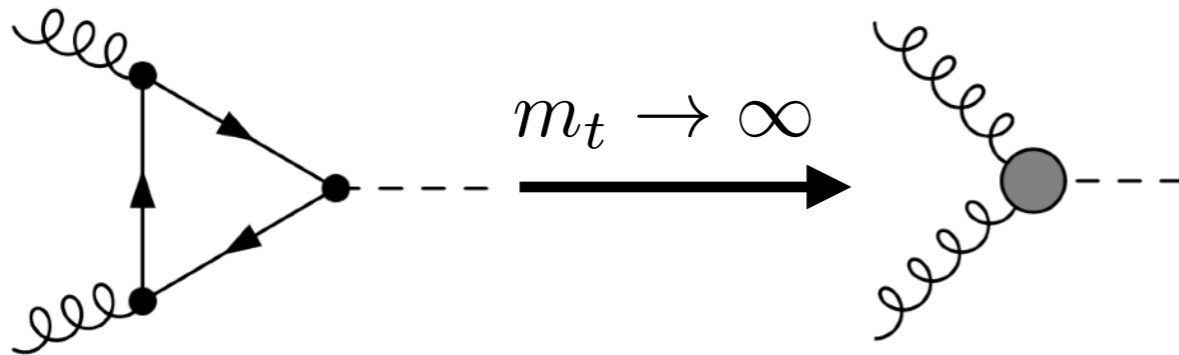


LO:

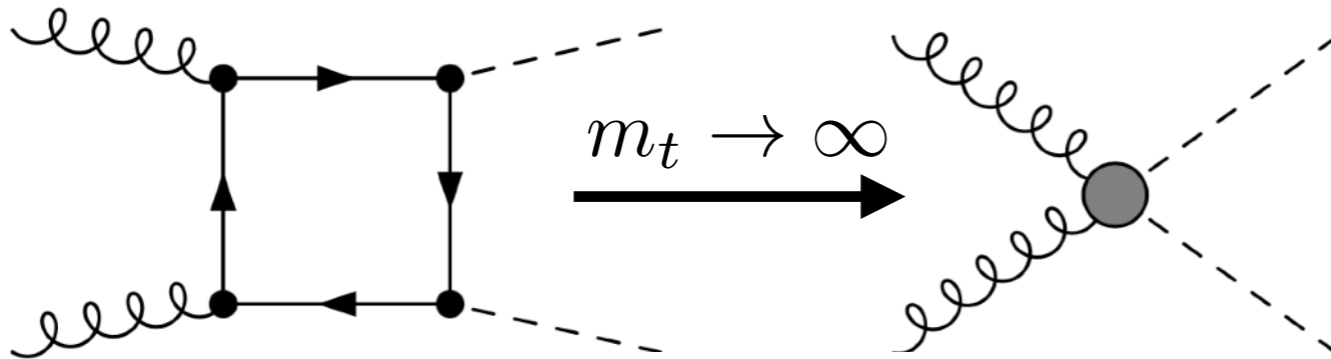


QCD Corrections: Too difficult \rightarrow Use HTL and rescale by Born

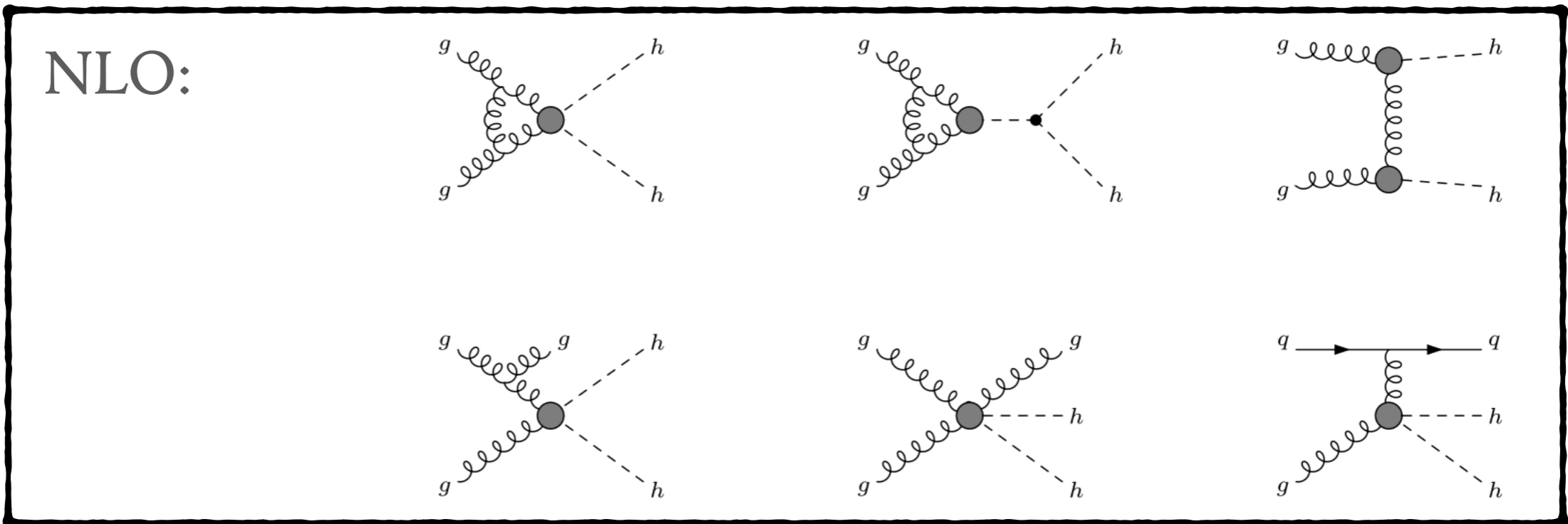
These include virtual NNLO corrections



$$C_H = 1 + \frac{11}{4} \frac{\alpha_s}{\pi} + \left(\frac{\alpha_s}{\pi}\right)^2 \left[\frac{2777}{288} + \frac{19}{16} \log \frac{\mu_R^2}{M_t^2} + N_f \left(-\frac{67}{96} + \frac{1}{3} \log \frac{\mu_R^2}{M_t^2} \right) \right] + \mathcal{O}(\alpha_s^3)$$



$$C_{HH} = C_H + \left(\frac{\alpha_s}{\pi}\right)^2 \left(\frac{35}{24} + \frac{2}{3} N_f \right) + \mathcal{O}(\alpha_s^3)$$



WHAT WE DID?

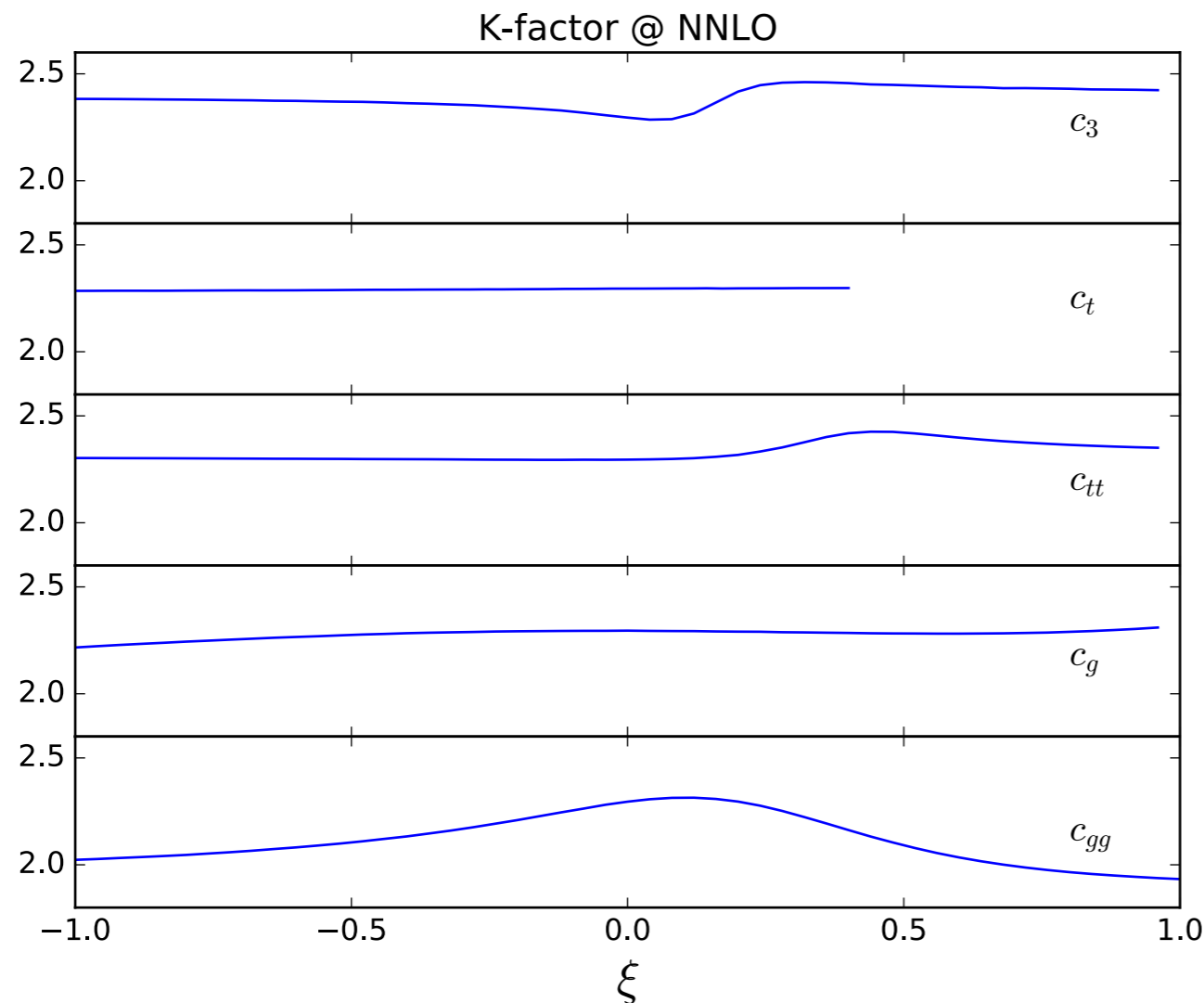
ADAPTED THE DOUBLE HIGGS RESULT TO THE EFT

(arXiv:hep-ph/1704.05700 - DdF, IF, JM)

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NNLO K-Factor



Maximum departure from SM:

$$\Delta K^{c_3} \approx 7.2\% \quad \text{at } c_3 = 4.20,$$

$$\Delta K^{c_{tt}} \approx 5.7\% \quad \text{at } c_{tt} = 0.66,$$

$$\Delta K^{c_g} \approx 3.4\% \quad \text{at } c_g = -0.15,$$

$$\Delta K^{c_t} \approx 0.5\% \quad \text{at } c_t = 0.65.$$

Global maximum:

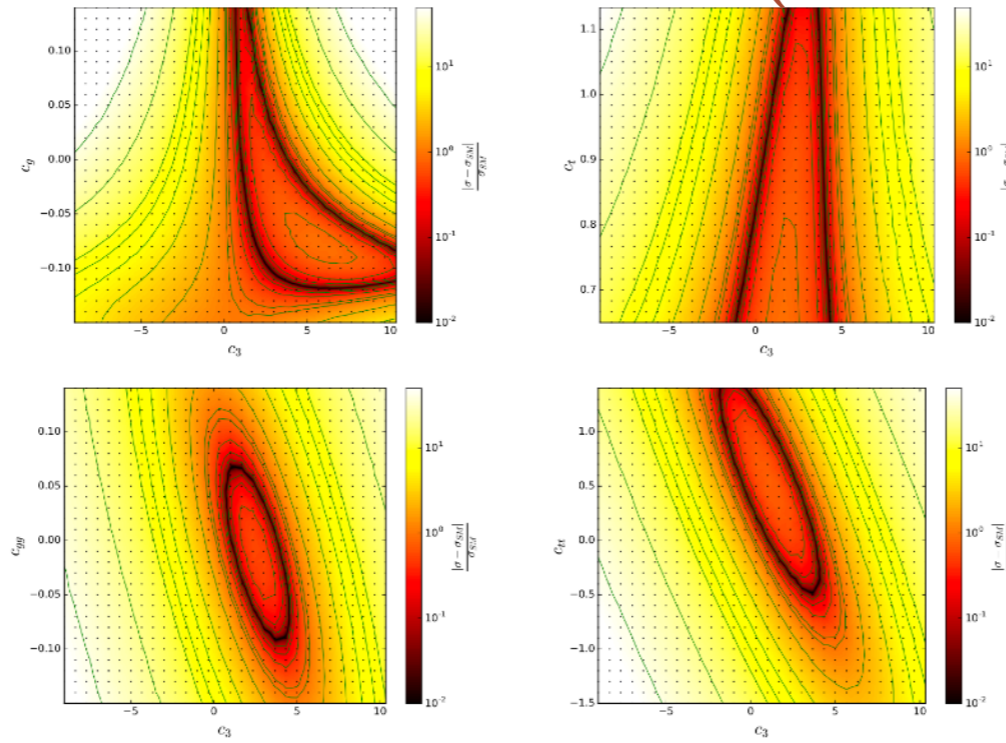
$$\Delta K^{\max} \approx 84\% \quad \longrightarrow \text{EFT NNLO calculation relevant!!!}$$

$$\text{at } c_3 = 7.0, c_t = 1.15, c_{tt} = 0.1, c_g = -0.09, c_{gg} = 0.02$$

ADAPTED THE DOUBLE HIGGS RESULT TO THE EFT

(arXiv:hep-ph/1704.05700 - DdF, IF, JM)

Degeneracy structure preserved after inclusion of m_t effects (in Born) and NNLO radiative corrections.



Breaking of degeneracy in differential distributions

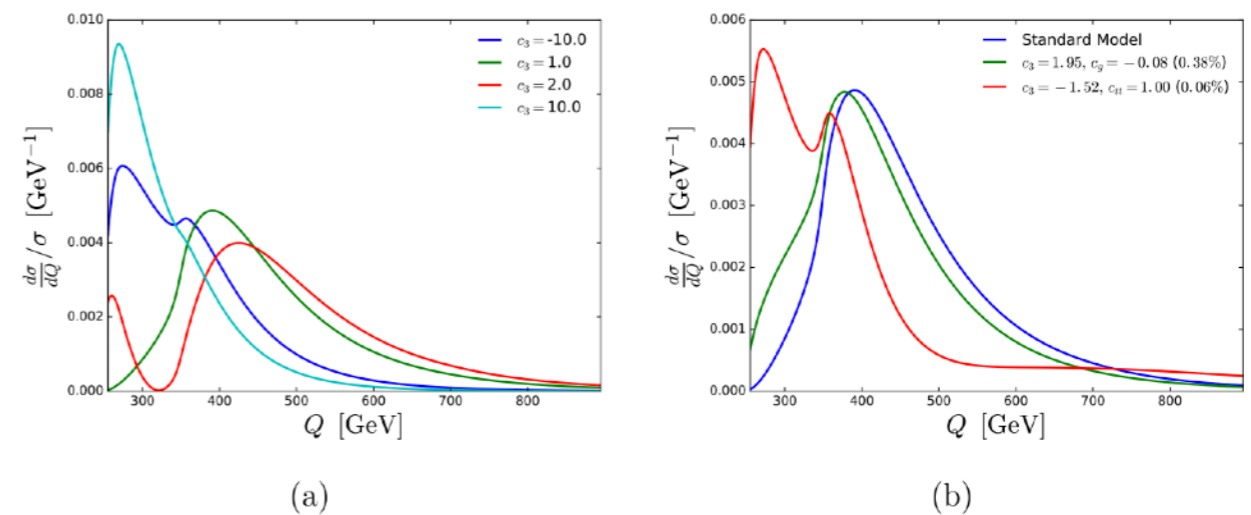


Figure 4: Invariant mass distribution of the produced Higgs boson pair plotted for (a) different values of its self-coupling, and (b) different combinations of anomalous couplings that are degenerate with the SM. The relative deviation from the SM of the total cross section in (b) is specified between brackets on the label.

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Cons:

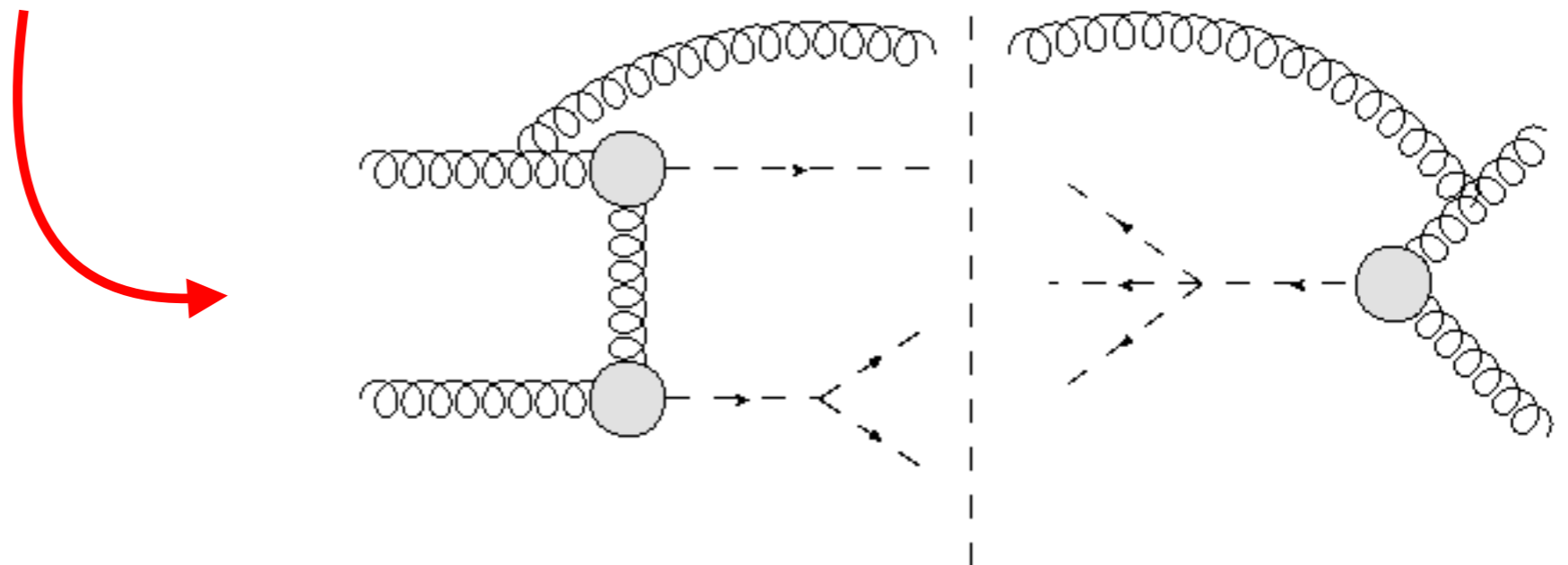
- Very low cross section (ab \rightarrow won't be seen @ LHC)
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Cons:

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- HTL not very good approximation

But... only NNLO (single) real emission missing to have a full calculation ([arXiv:hep-ph/1610.05012](https://arxiv.org/abs/1610.05012) - DdF, JM)



SUMMARY

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We can make use of existing calculations in order to achieve precision without doing the heavy lifting.



Work in progress with Daniel and Manuel:
Mixed QCDxQED corrections to Z production. Please ask.

YOUR CONFERENCE PRESENTATION

HOW YOU PLANNED IT:



HOW IT GOES:

