# **Modified Higgs Couplings and New Physics**

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## Based on the following works :

- M. Carena, I. Low, N. Shah, C.W., arXiv:1310.2248, JHEP 1404 (2014)
- M. Carena, H. Haber, I. Low, N. Shah, C.W., arXiv:1410.4969, PRD91 (2015); arXiv:1510.09137, PRD93 (2016)
- M. Badziak, C.W., arXiv:1602.06198, JHEP 1605 (2016); arXiv: 1611.02353, JHEP 1702 (2017)
- D. Liu, I. Low, C. Wagner, arXiv:1703.07791, PRD96 (2017)
- A. Joglekar, M. Li, P. Huang, C.W., arXiv:1711.05743, to appear in PRD.
- N. Coyle, B. Li, C.W., arXiv:1802.09122

## Modified Couplings ?

- Today, we know that the observed Higgs Boson couples to top and bottom quarks.
- The values of the couplings are within a few tens of percents of the SM values (at least in modulus).
- In the presence of new Higgs states at the weak scale, something I consider likely, the couplings will not coincide with the SM ones.
- I will discuss the impact of such modifications and how they appear in some New Physics Models.

# New tth results

Values overall consistent with the SM, but a few interesting small discrepancies are present at both experiments.



#### There is today evidence of a Higgs decaying to bottom quarks



Errors are still large an admit deviations of a few tens of percent from the SM results

35.9 fb<sup>-1</sup> (13 TeV)

# Impact of Modified Couplings

• In general, assuming modified couplings, and no new light particle the Higgs can decay into, the new decay branching ratios are given by

$$
BR(h \to XX) = \frac{\kappa_X^2}{\sum_i \kappa_i^2} \frac{BR(h \to XX)^{\text{SM}}}{BR(h \to ii)^{\text{SM}}}
$$

• For small variations of (only) the bottom coupling, and where *BR*(*h* ! *XX*) is the branching ratio of the Higgs decay into a pair of *X* particles.  $\bullet$  For small variations of (only) the bottom coupling, and  $\ X\neq b$ 

$$
BR(h \to b\bar{b}) \simeq BR(h \to b\bar{b})^{\rm SM}(1 + 0.4(\kappa_b^2 - 1))
$$

$$
BR(h \to XX) \simeq BR(h \to XX)^{\rm SM}(1 - 0.6(\kappa_b^2 - 1))
$$

$$
\frac{BR(h \to b\bar{b})}{BR(h \to XX)} = \frac{BR(h \to b\bar{b})^{\text{SM}}}{BR(h \to XX)^{\text{SM}}} (1 + (\kappa_b^2 - 1))
$$

- So, due to the its large contribution to the Higgs decay width, a modification of a bottom coupling leads to a large modification of all other decay branching ratios (larger than the one into bottoms!)
- Observe that the coefficients are just given by the SM bottom decay branching ratio and its departure from one.

Modified couplings in 2HDMs

#### Modifying the top and bottom couplings in two Higgs Doublet **Models**

- Measurement of the top and bottom couplings still subject to large errors.
- The enhancement on the top coupling is somewhat weaker in the 13 TeV data. Modifications of a few tens of percent possible.
- Modifying the top-quark coupling is simple for small values of tanβ, but the bottom coupling is modified as well in an opposite direction

$$
h = -\sin \alpha H_d^0 + \cos \alpha H_u^0
$$
  

$$
H = \cos \alpha H_d^0 + \sin \alpha H_u^0
$$

$$
\kappa_t = \sin(\beta - \alpha) + \cot \beta \cos(\beta - \alpha)
$$
  

$$
\kappa_b = \sin(\beta - \alpha) - \tan \beta \cos(\beta - \alpha)
$$
  

$$
\kappa_V = \sin(\beta - \alpha) \simeq 1
$$

$$
\tan \beta = \frac{v_u}{v_d}
$$

Alignment Condition :  $\cos(\beta - \alpha) = 0$ 

SM-like Higgs tree level couplings equal to SM couplings



#### **Deviations from Alignment i***f*  $\bf{p}$ exaction from  $\Lambda$  limit. It is the approach to study the approximation of the approximation of a probability the approximation of the app  $\mathbf{u}$  defines in the Higgs coupling in the  $\mathbf{v}$

$$
c_{\beta-\alpha} = t_{\beta}^{-1} \eta \ , \qquad s_{\beta-\alpha} = \sqrt{1 - t_{\beta}^{-2} \eta^2} \qquad \qquad h = -\sin \alpha H_d^0 + \cos \alpha H_u^0
$$

$$
H = -\cos \alpha H_d^0 + \sin \alpha H_u^0
$$

Then and some state dominate the Higgs width become some  $\mathbf s$ ones that dominate the Higgs width but also tend  $\overline{a}$  The couplings of down fermions are not only the to be the ones which differ at most from the SM ones 12  $\mathbf{u}$ **12** are not only the **B** *B* at differ at *s*⇥ **From a slightly discussed as a summate the riggs width but also tend<br>and to be the ones which differ at most from the SM ones** The couplings of down fermions are not only the

$$
g_{hVV} \approx \left(1 - \frac{1}{2}t_{\beta}^{-2}\eta^2\right)g_V, \qquad g_{HVV} \approx t_{\beta}^{-1}\eta \ g_V,
$$
  
\n
$$
g_{hdd} \approx (1 - \eta) g_f, \qquad g_{Hdd} \approx t_{\beta}(1 + t_{\beta}^{-2}\eta)g_f
$$
  
\n
$$
g_{huu} \approx (1 + t_{\beta}^{-2}\eta) g_f, \qquad g_{Huu} \approx -t_{\beta}^{-1}(1 - \eta)g_f
$$

For small departures from alignment, the parameter  $\eta$  can be determined as a function of the quartic couplings and the *Figgs* mas which is done that  $\mathcal{M}$ <sup>1</sup> *<sup>s</sup>*<sup>2</sup> For small departures from  $\overline{r}$  $f$ rom alignment, the parameter  $\eta$  can be determined where  $e<sub>i</sub>$  and  $q<sub>ii</sub>$ *s*⇥ *For small departures from alignment, the parameter η can be determined* as a function of the quartic couplings and the Higgs masses

$$
\eta = s_{\beta}^{2} \left( 1 - \frac{\mathcal{A}}{\mathcal{B}} \right) = s_{\beta}^{2} \frac{\mathcal{B} - \mathcal{A}}{\mathcal{B}}, \qquad \mathcal{B} - \mathcal{A} = \frac{1}{s_{\beta}} \left( -m_{h}^{2} + \tilde{\lambda}_{3} v^{2} s_{\beta}^{2} + \lambda_{7} v^{2} s_{\beta}^{2} t_{\beta} + 3 \lambda_{6} v^{2} s_{\beta} c_{\beta} + \lambda_{1} v^{2} c_{\beta}^{2} \right)
$$

$$
\tilde{\lambda}_{3} = \lambda_{3} + \lambda_{4} + \lambda_{5}
$$

$$
\mathcal{B} = \frac{\mathcal{M}_{11}^{2} - m_{h}^{2}}{s_{\beta}} = \left( m_{A}^{2} + \lambda_{5} v^{2} \right) s_{\beta} + \lambda_{1} v^{2} \frac{c_{\beta}}{t_{\beta}} + 2 \lambda_{6} v^{2} c_{\beta} - \frac{m_{h}^{2}}{s_{\beta}}
$$

the coupling to fermions is suppressed or enhanced relative to the SM values, is determined by  $\mathcal{L}(\mathcal{L})$ Tuesday, November 19, 2013 in die rent instances. For example, when when when when when when when we want to discuss the material of the mater Again it is instructive to consider the pseudo-scalar mass to be heavy: *m*<sub>*A*</sub>  $\alpha$  *m*<sup>2</sup>. Tuesday, November 19, 2013



генн $\Omega_{\alpha}$  ,  $\Omega_{\alpha}$ *Z*

Carena, Haber, Low, Shah, C.W.'14

M. Carena, I. Low, N. Shah, C.W.'13

#### Higgs Decay into Gauge Bosons

Mostly determined by the change of width



CP-odd Higgs masses of order 200 GeV and  $tan\beta = 10$  OK in the alignment case

## Heavy Higgs Bosons : A variety of decay Branching Ratios Carena, Haber, Low, Shah, C.W.'14 Heavy Supersymmetric Particles

 $m_h^{\text{alt}}$  : Large  $\mu$ . Alignment at values of tan  $\beta \simeq 12$ 

Depending on the values of  $\mu$  and tan $\beta$  different search strategies must be applied.



At large  $tan \beta$ , bottom and tau decay modes dominant. As tanβ decreases decays into SM-like Higgs and wek bosons become relevant DOW Μ " # *P4* WDQ Β " PRG Μ " # *P4 W* <sup>Β</sup> "

#### Naturalness and Alignment in the NMSSM

see also Kang, Li, Li,Liu, Shu'13, Agashe,Cui,Franceschini'13

• It is well known that in the NMSSM there are new contributions to the lightest CP-even Higgs mass,

$$
W = \lambda S H_u H_d + \frac{\kappa}{3} S^3
$$

$$
m_h^2 \simeq \lambda^2 \frac{v^2}{2} \sin^2 2\beta + M_Z^2 \cos^2 2\beta + \Delta_{\tilde{t}}
$$

• It is perhaps less known that it leads to sizable corrections to the mixing between the MSSM like CP-even states. In the Higgs basis,  $\,$  ( correction to  $\,\,\lambda_4\!\,)$ 

$$
M_S^2(1,2) \simeq \frac{1}{\tan \beta} \left( m_h^2 - M_Z^2 \cos 2\beta - \lambda^2 v^2 \sin^2 \beta + \delta_{\tilde{t}} \right)
$$

$$
\delta \tilde{\lambda}_3 = \lambda^2 \qquad \cos(\beta - \alpha) \simeq -M_S^2(1,2)/(m_H^2 - m_h^2)
$$

- The last term is the one appearing in the MSSM, that are small for moderate mixing and small values of  $\;\;\tan\beta$
- The values of  $\lambda$  end up in a very narrow range, between 0.65 and 0.7 for all values of tan(beta), that are the values that lead to naturalness with perturbativity up to the GUT scale

$$
\lambda^2 = \frac{m_h^2 - M_Z^2 \cos 2\beta}{v^2 \sin^2 \beta}
$$

## Alignment in the NMSSM (heavy or Aligned singlets)







 $\lambda$  is about 0.65

It is clear from these plots that

Carena, Low, Shah, C.W.'13



#### Decays into pairs of SM-like Higgs bosons suppressed by alignment



500





**Relevant for searches for Higgs bosons** 

Crosses : H1 singlet like Asterix : H2 singlet like

Blue:  $\tan \beta = 2$ Red:  $\tan \beta = 2.5$ Yellow:  $\tan \beta = 3$ 

Carena, Haber, Low, Shah, C.W.'15



More on Top Quark and Bottom Quark Couplings Modifications

## **What is the problem in 2HDM ?**

## Suppression of the gluon fusion rate ?



Would expect top rate to be suppressed as well ! No evidence of that in data, although errors are too large to tell.

#### The Gluon Fusion Rate

- Suppression of the bottom coupling would demand some suppression of the gluon-Higgs coupling.
- Problem is even more severe when the top coupling is enhanced, since we have to compensate for this potential source of ggh enhancement

$$
\kappa_t = \sin(\beta - \alpha) + \cot \beta \cos(\beta - \alpha)
$$
  

$$
\kappa_b = \sin(\beta - \alpha) - \tan \beta \cos(\beta - \alpha)
$$
  

$$
\kappa_V = \sin(\beta - \alpha) \simeq 1
$$

• However, the gluon fusion cross section could also be modified in the presence of extra color particles. For instance, for scalar tops,

$$
\sum_{\substack{\text{volume} \\ \text{volume}}}^{t} \sum_{t=-H}^{t} \frac{\kappa_g}{\kappa_g^{SM}} \simeq \kappa_t \left[ 1 + \frac{m_t^2}{4} \left( \frac{1}{m_{\tilde{t}_1}^2} + \frac{1}{m_{\tilde{t}_2}^2} - \frac{X_t^2}{m_{\tilde{t}_1}^2 m_{\tilde{t}_2}^2} \right) \right]
$$

 $\sim$ 

mm

#### Badziak, C.W., to appear **b**<sup>*H*</sup>/226 28, 0.7 v, to a

#### **NMSSM Scenarios with light singlets** *M* 329 5 5 412 5 41 n 2010 **214** 24





Consistent with the LEP2 Excess (not a necessary ingredient) Large decay Branching ratio of MSSM Higgs into singlet states ri miggs into singlet sta  $T$ able 2: Branching ratios and gluon-fusion production production production  $\mathcal{L}$ **Large decay Branchii** *Consistent* with the **Lonsistent with the** *R*VBF*/*VH 1.51 1.53 1.60 1.57 *R*VBF*/*VH ⌧⌧ 0.73 0.78 0.78 0.77 *<u>becessary</u> ingredies g*¯*<sup>s</sup>* 0.31 0.20 0.18 0.20

*R*VBF*/*VH

## Limits on Stops may be diluted by light EW states

Eric Chabert, Talk at PASCOS 2018 Eric Chabert, Talk at PASCOS 2018



#### LEP2 Excess Standard Model Higgs mh > 114.4 GeV  $\mathbf{b}$ Standard Model Model Model Strength of about one tenth of about one tenth of the SM Higgs with the SM Higgs with the same mass of the SM Higgs with the SM Higgs with the same mass of the SM Higgs with the same mass. In the <sup>h</sup> <sup>→</sup> <sup>b</sup>¯b, <sup>τ</sup>+τ<sup>−</sup>  $\mathbf{L}$  table we give a value for the prediction of the pr



# Related to CMS Excess ?



#### Minimal Composite Models

D. Liu, I. Low, C.W.'17



Difficult to enhance the top coupling without enhancing at the same time the gluon coupling

#### Connection with Di-Higgs Production



Very few events in the SM case after cuts are implemented.

Figure 3: Total cross sections at the LO and NLO in QCD for *HH* production channels, at the √*s* =14 TeV LHC as a function of the Light Stops or small modifications of the top quark coupling (or both) Por uncertainting and the Sam strongly enhance the di-Higgs production rate. Joglekar, Huang, Li, C.W.'17

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### Variation of the Di-Higgs Cross Section with the Top Quark and Self Higgs Couplings

Huang, Joglekar, Li, C.W.'17



Strong dependence on the value of kt and λ3 Εven small variations of kt can lead to 50 percent variations of the di-Higgs cross section Strong dependence on the value of kt and x3<br>Figures in the absence of the absence of the absence of the absence of the function of the absence of t top-official validations of at suit load to so porsonal validations of the diffluggs sisco society

#### Stop Effects on Di-Higgs Production Cross Section

Huang, Joglekar, Li, C.W.'17



Orange : Stop corrections to kappa\_g decoupled cross section of the section of the section of  $\mathbb{R}^n$ Red : X\_t fixed at color breaking vacuum boundary value, for light mA Green : X<sub>1</sub>t fixed at color breaking boundary value, for mA = 1.5 TeV Blue : Same as Red, but considering \kappa\_t = 1.1

$$
V = m_{11}^{2} \Phi_{1}^{\dagger} \Phi_{1} + m_{22}^{2} \Phi_{2W}^{\dagger} \Phi_{2F} = m_{12}^{2} (\Phi_{1}^{\dagger} \Phi_{2})^{2} + [\lambda_{6} (\Phi_{1}^{\dagger} \Phi_{1}) + \lambda_{7} (\Phi_{2}^{\dagger} \Phi_{2})] \Phi_{1}^{\dagger} \Phi_{2} + \text{h.c.}
$$
  
\n
$$
V = m_{11}^{2} \Phi_{1}^{\dagger} \Phi_{1} + m_{22}^{2} \Phi_{2W}^{\dagger} \Phi_{2F} = m_{12}^{2} (\Phi_{1}^{\dagger} \Phi_{2} + \text{h.c.}) + \frac{1}{2} \lambda_{1} (\Phi_{1}^{\dagger} \Phi_{1})^{2} + \frac{1}{2} \lambda_{2} (\Phi_{2}^{\dagger} \Phi_{2})^{2}
$$
  
\n
$$
+ \lambda_{3} (\Phi_{1}^{\dagger} \Phi_{1}) (\Phi_{2}^{\dagger} \Phi_{2}) + \lambda_{4} (\Phi_{1}^{\dagger} \Phi_{2}) (\Phi_{2}^{\dagger} \Phi_{1})
$$
  
\n
$$
+ \left\{ \frac{1}{2} \lambda_{5} (\Phi_{1}^{\dagger} \Phi_{2})^{2} + [\lambda_{6} (\Phi_{1}^{\dagger} \Phi_{1}) + \lambda_{7} (\Phi_{2}^{\dagger} \Phi_{2})] \Phi_{1}^{\dagger} \Phi_{2} + \text{h.c.} \right\} \left[ \frac{1}{\sqrt{2}} (\phi_{i}^{0} + i a_{i}^{0}) \right]
$$
  
\nNotice that in the case of unbroken SUSY we have

Inverting the sign 
$$
\frac{\lambda_1}{\text{off}} = \frac{\lambda_2}{4} = \frac{1}{4}(g_1^2 + g_2^2) = \frac{m_Z^2}{v^2}
$$
,  
the bottom coupling  $\frac{1}{4}(g_1^2 - g_2^2) = -\frac{m_Z^2}{v^2} + \frac{1}{2}g_2^2$ ,  
 $\lambda_4 = -\frac{1}{2}g_2^2$ ,  
 $\lambda_5 = \lambda_6 = \lambda_7 = 0$ .

 $\overline{z}=0$ 

 $t$ <sup>2</sup> $P$ ce<sub>p</sub>uses  $\frac{1}{2}$   $\$  $\lambda_5 = \lambda_6 = \lambda_7 = 0$ . and the mass-squared matrix for the  $\mathcal{L}_{\beta}P_{\beta}$  expressed as  $\frac{1}{2}$   $\frac{1}{2}$   $\frac{1}{2}$   $\frac{1}{2}$   $\frac{1}{2}$  $\bar{f}$  $\int_{0}^{\infty}$  $\lambda_5 = \lambda_6 = \lambda_7 = 0$ .<br>an be expressed as  $\lambda_5 \, = \, \lambda_6 = \lambda_7 = 0 \; .$ he mass-se  $S-S($ for the  $t_B$ <br>VA will as )<br>af دم<br>سا  $\mathbb{R}$  $\alpha$ <sup>b</sup>  $\lambda_6$  =  $\lambda_6$ <br>expressed as<br>he

and the mass-squared matrix for the 
$$
\ell_{\beta}
$$
 Peyen<sub>β</sub> **scale**<sub>β</sub> can be expressed as  
\n
$$
\mathcal{M} = \begin{pmatrix} \mathcal{M}_{11} & \mathcal{M}_{12}^{\text{W}} \\ \mathcal{M}_{12} & \mathcal{M}_{23} \end{pmatrix} = m_A^2 \begin{pmatrix} \mathcal{M}_{11} & \mathcal{M}_{12}^{\text{W}} \\ \mathcal{S}_{\beta} & -\mathcal{S}_{\beta}c_{\beta} \\ \mathcal{S}_{\beta} & -\mathcal{S}_{\beta}c_{\beta} \end{pmatrix} + v^2 \begin{pmatrix} \mathcal{L}_{11} & \mathcal{L}_{12} \\ \mathcal{L}_{11} & \mathcal{L}_{12} \\ \mathcal{L}_{12} & \mathcal{L}_{13}d_{\beta}^2 \end{pmatrix},
$$
\nwhere  
\nwhere

where

where  
\n
$$
\mathbf{N}.\text{ Coyle, B. Li, C.W. arXiv:1802.09122}
$$
\n
$$
L_{\text{H}}\text{here}\lambda_1 c_\beta^2 + 2\lambda_6 s_\beta c_\beta + \lambda_5 s_\beta^2,
$$
\n
$$
L_{12} = (\lambda_3 + \lambda_4)s_\beta c_\beta + \lambda_6 c_\beta^2 + \lambda_7 s_\beta^2 + v_2^2 \approx 246 \text{ GeV }, \quad t_\beta \text{ F4}\text{tan }\beta = \frac{v_2}{v_1}
$$
\n
$$
L_{\text{W}}\text{F-R}\text{cos}^2\text{er}(\lambda_3 + \lambda_4 s_\beta^2 + \lambda_8 s_\beta^2 + v_2^2 \approx 246 \text{ GeV }, \quad t_\beta \text{ F4}\text{tan }\beta = \frac{v_2}{v_1}
$$
\n
$$
L_{\text{W}}\text{F-R}\text{cos}^2\text{er}(\lambda_3 + \lambda_8 s_\beta^2 + \lambda_9 s_\beta^2 + v_1^2 \approx 246 \text{ GeV }, \quad t_\beta \text{ F4}\text{tan }\beta = v_1
$$
\n
$$
\text{The five mass eigenstates are two } CP\text{-even scalars } H \text{ and } h, \text{ with } \frac{1}{\sqrt{2}} \text{ and } \frac{
$$

 $T_{\rm T1}$  is a simple factor to the simple factor of  $\sim$  1.1 minds of the simple simple facts to keep in minds of the simple simp  $T<sub>H</sub>$  mass eigenstates are two CP-even scalars H and h, with  $T<sub>H</sub>$ 



H mass and couplings in CMS and ATLAS Moriond Electroweak 2018 David Sperka (Florida) 24

## **External** *that about inverting the sign of the* and third generation couplings?

- Easy to invert the bottom coupling in type II Higgs doublet models  $\frac{1}{\sqrt{2}}$  inversion of the bottom coupling. On the other hand, large  $\frac{1}{\sqrt{2}}$  Landau pole in the other hand, large  $\frac{1}{\sqrt{2}}$
- In the NMSSM, in particular, this implies to go to larger values of lambda, since this is the parameter that allows to control this coupling. particular, this implies n particular, and implies to go to 3*v*<sup>2</sup>*h*<sup>4</sup> *<sup>t</sup>µX<sup>t</sup>* U gu tu arger val *t* 6*M*<sup>2</sup>  $\bullet$  In the NMSSM, in particular, this implies to go to larger values of lambda, sine will discuss the parameter that allows to control this coupling.

$$
t_{\beta}\;c_{\beta-\alpha} \approx \frac{-1}{m_H^2-m_h^2}\left[ \left(m_h^2+m_Z^2-\lambda^2 v^2\right) + \frac{3m_t^4 A_t\mu t_{\beta}}{4\pi^2 v^2 M_S^2}\left(1-\frac{A_t^2}{6M_S^2}\right)\right]
$$

• This causes problems with the spectrum, since some scalars tend to become tachyonic in the relevant region of parameters. We cured this problem by<br>adding a tadpole term adding a tadpole term . However, for the order 1. We found that purpose we need to be of order 1. We found that when  $\alpha$ 

$$
\Delta V = \xi_S S + h.c.
$$
\n
$$
\delta \lambda_2 \simeq \frac{\lambda^4}{16\pi^2} \ln \left( \frac{m_S^2}{\mu^2} \right) \simeq \frac{\lambda^4}{16\pi^2} \ln \left( \left| \frac{\lambda \xi_S}{\mu^3} \right| \right)
$$

• Since the Higgs-gauge boson coupling with respect to the SM is  $\sin(\beta - \alpha)$ , one needs sizable values of  $\tan \beta$ , and moderate values of  $m_H$ , but still allowed by searches for non-standard Higgs bosons. Values of  $\,\tan\beta \simeq 7$  are the most appropriate ones. The proper region of parameters are necessary to select the most appropriate ones. • Since the Higgs-gauge boson coupling with respect to the SM is  $\sin(\beta - \alpha)$ , breaking mechanism at high scale is a large scale of the singlet decoupled from the singlet of  $m_H$ allowed by searches for non-standard Higgs bosons. Values of  $\,\tan\beta \simeq 7-10$ one, with low energy  $\alpha$  are modified by terms proportional to powers proportional to powers proportional to for values of *|µ|* of the order of the weak scale, large values of ⇠*<sup>S</sup>* result in large positive corrections to 2. These corrections can compete contributions can compete contributions to the Higgs contributions

#### Effects on gluon Fusion

- Changing the sign of the bottom coupling changes the gluon fusion rate by about 12 percent !
- Assuming that no other effect is present, the LHC collaborations announce a precision of about 5 percent for the gluon coupling by the end of the LHC run. So, under this assumption this effect may be tested.



# CMS Combination **NEW 2008**



D. Sperka's talk, Moriond EW

## Dibosons from Gluon Fusion

Signal Mostly Enhanced, due to Gluon Fusion Coupling Enhancement. Values of order the SM values are possible, depending on the exact value of the bottom coupling.



## Additional tests of this idea?

#### **The resulting decays** becays

Bodwin et al'14, Neubert et al'15

 $\Gamma[H \to \Upsilon(1S) + \gamma] = |(3.33 \pm 0.03) - (3.49 \pm 0.15)\kappa_b|^2 \times 10^{-10} \text{ GeV}$  $\Gamma[H \to \Upsilon(2S) + \gamma] = |(2.18 \pm 0.03) - (2.48 \pm 0.11)\kappa_b|^2 \times 10^{-10} \text{ GeV}$ 



Accidental cancellation present in the SM would lead to a large enhancement in the  $q_0$ .  $q_1$ .  $q_2$ .  $q_3$ .  $q_4$ .  $q_5$ .  $q_6$ .  $q_7$ .  $q_8$ .  $q_9$ case of a change in sign of the bottom coupling to Higgs bosons.

## **LHC Sensitivity**

Branching ratios are small and therefore the number of events become  $m$ iliniositics. The approximate number of events are only sizable at high luminosities. The approximate number of events are

 $BR(H \to \Upsilon(1S) + \gamma) \simeq 1.1 \times 10^{-6}$  $BR(H \to \Upsilon(2S) + \gamma) \simeq 0.5 \times 10^{-6}$  $BR(H \to \Upsilon(3S) + \gamma) \simeq 0.4 \times 10^{-6}$ For  $\kappa_b = -1$ 



3. Therefore, at most a few hundred of events available in these channels.

Run I bound on the Branching ratios of order of a few  $10^{-3}$ . Improvement in search sensitivity will be required to reach the required sensitivity at the HL-LHC.

#### More general Parameters : Superpotential Tadpole

One may reduce the mass gap with the charged Higgs, and due to the large misalignment, decays into Higgs and gauge bosons open up.



# Consistent with ATLAS Excess



## **Conclusions**

- $\bullet$ Current Higgs measurements are in agreement with the values predicted in the SM.
- $\overline{\mathcal{C}}$ Determination of bottom and top couplings still lacks precision, with a few tens of percent errors. Therefore, relevant modifications of these couplings may be present.
- $\bigodot$ Bottom coupling governs the width and therefore its departure from SM values leads to a relevant modification of all decay widths.
- $\bigodot$ An interesting, even if unlikely, possibility is that the sign of this coupling is inverted.
- $\bigcirc$ In this talk, after discussing the alignment condition, we have also explored scenarios in which relevant modifications of the bottom coupling may be present, in well motivated low energy supersymmetry extensions of the SM
- $\overline{\mathcal{C}}$ Relevant implications for Higgs phenomenology, that go beyond the modifications of the decay widths, and may allow to test these scenarios.

#### Light Charginos and Neutralinos can significantly modify M the CP-odd Higgs Decay Branching Ratios

Carena, Haber, Low, Shah, C.W.'14



At small values of  $\mu$  ( $M_2 \simeq 200$  GeV here), chargino and neutralino  $\frac{1}{\sqrt{2}}$  and CP-even Higgs and CP-even Higgs and CP-odd Higgs and CP-odd Higgs decays as a function of the heavy control to the heavy decays prominent. Possibility constrained by direct searches.

## Complementarity between precision measurements and search for new Higgs going to τ pairs

Carena, Haber, Low, Shah, C.W.'14



Limits coming from measurements of *h* couplings become weaker for larger values of *µ*

 $\sum_{\phi_i = A, H} \sigma(\text{bb}\phi_i + \text{gg}\phi_i) \times \text{BR}(\phi_i \to \tau \tau)$  (8 TeV)  $\leftarrow \sigma(bbh+ggh) \times BR(h \rightarrow VV)/SM$ 

Limits coming from direct searches of  $H, A \to \tau\tau$ become stronger for larger values of  $\mu$ 

Bounds on *m<sup>A</sup>* are therefore dependent on the scenario and at present become weaker for larger  $\mu$ 

With a modest improvement of direct search limit one would be able to close the wedge, below top pair decay threshold

# Search for (psudo-)scalars decaying into lighter ones



It is relevant to perform similar analyses replacing the Z by a SM Higgs !

#### Stop Effects on Di-Higgs Production Cross Section

Huang, Joglekar, Li, C.W.'17



Orange : Stop corrections to kappa\_g decoupled cross section of the section of the section of  $\mathbb{R}^n$ Red : X\_t fixed at color breaking vacuum boundary value, for light mA Green : X<sub>1</sub>t fixed at color breaking boundary value, for mA = 1.5 TeV Blue : Same as Red, but considering \kappa\_t = 1.1

## Values of the dimensionless couplings

B. Li, N. Coyle, C.W. '18





*Necessary values to invert the bottom coupling* 

## Low charged Higgs masses

Part of the reason for large value of  $\lambda$  is the relation between the CP-odd and charged Higgs masses in these theories, namely

 $m_{H^+}^2 \simeq m_A^2 - \lambda^2 v^2$  *v* = 174 *GeV* 

Constraints on Charged Higgs Mass coming from  $t \to bH^+$  considered



#### Novelty : Decay into charged Higgs Bosons Yukawa, and its detection will demand a significant improvement of the current analysis.

Large values of  $\lambda$  imply that the charged Higgs mass becomes significantly lower than the neutral MSSM-like Higgs masses.

