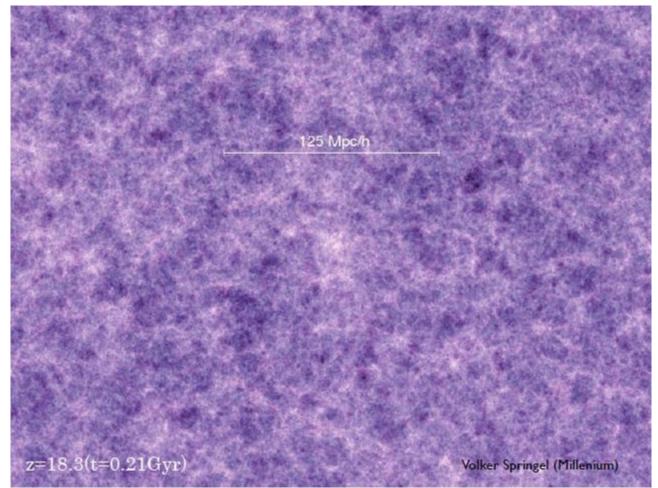
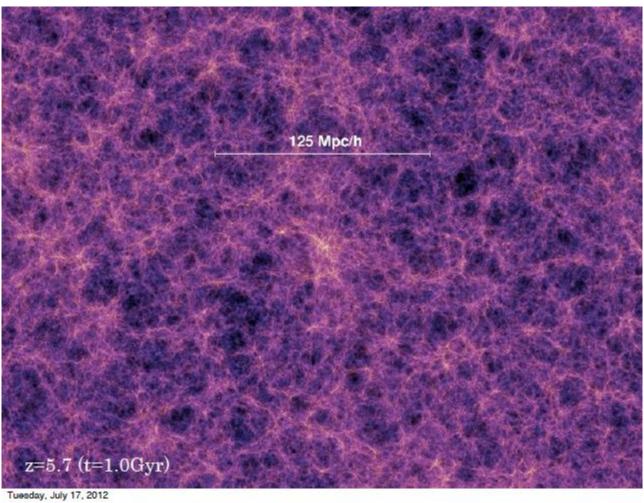
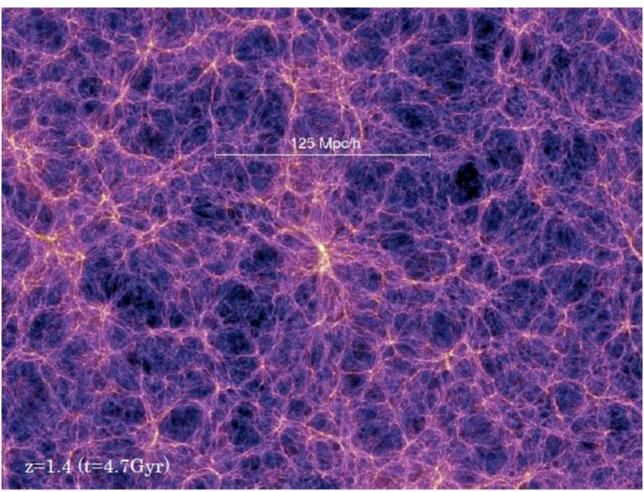
## Unbiased constraints from biased tracers in cosmology: The 'Linear Point' in the Baryon Acoustic Oscillation signal

Ravi K Sheth (Penn) with

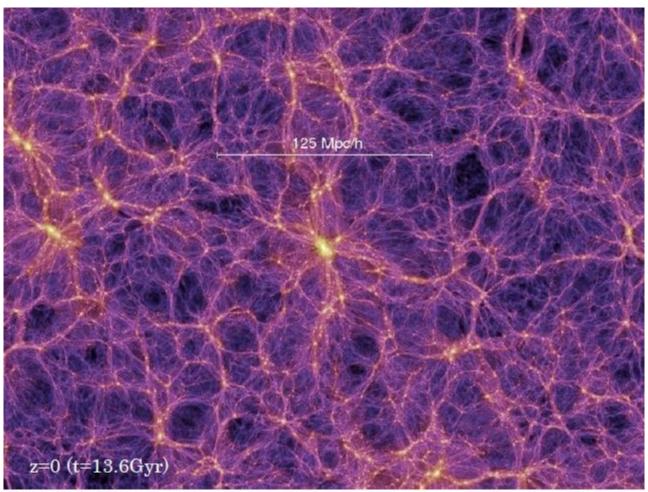
S. Anselmi, G. Starkman, P.-S. Corasaniti, I. Zehavi







Tuesday, July 17, 2012



Tuesday, July 17, 2012



Millennium Simulation

10.077.696.000 particles

## HOMOGENEOUS ON LARGE SCALES

Particle mass about one billion times that of Sun!

Need to model galaxy formation (cannot simulate it yet...)

Springel et al. 2005

### **Cold Dark Matter**

Cold: speeds are non-relativistic

To illustrate,  $1000 \text{ km/s} \times 10 \text{Gyr} \approx 10 \text{Mpc}$ 

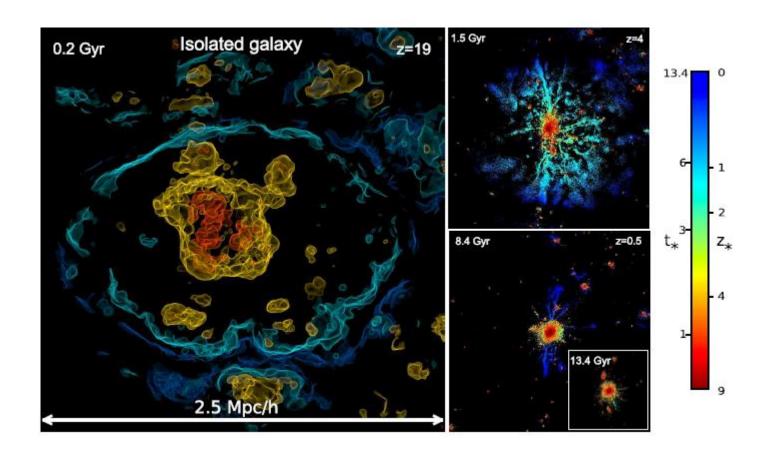
From z~1000 to present, nothing (except photons!) travels more than ~ 10Mpc

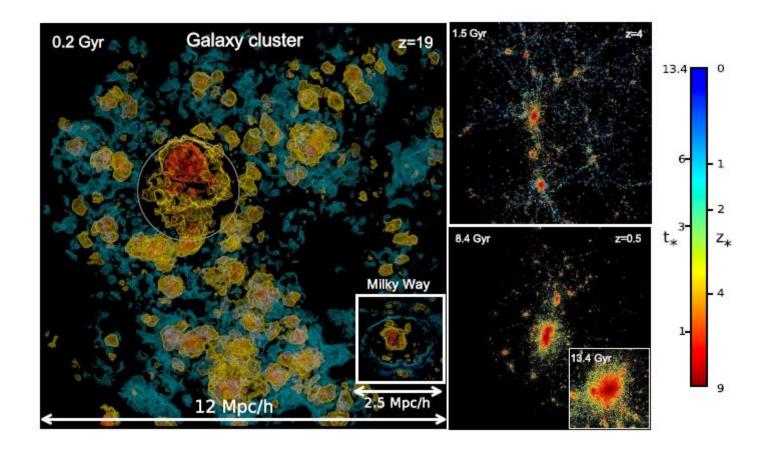
**Dark:** no idea (yet) when/where the stars light-up

Matter: gravity the dominant interaction

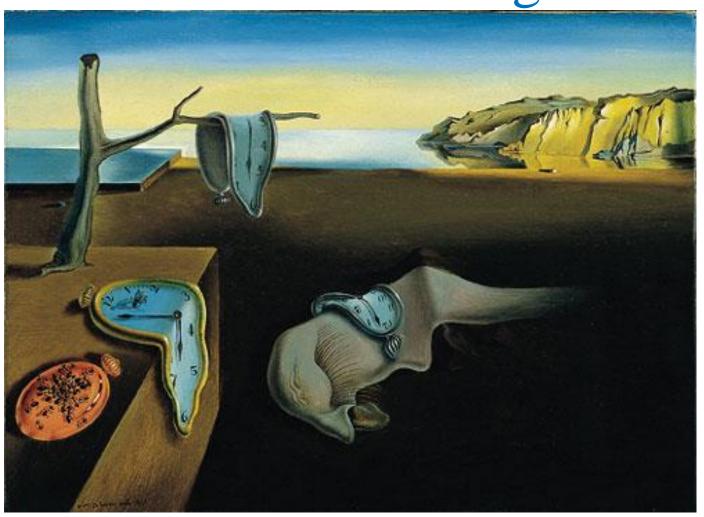
Late-time field retains memory of initial conditions

## Gastrophysics also local

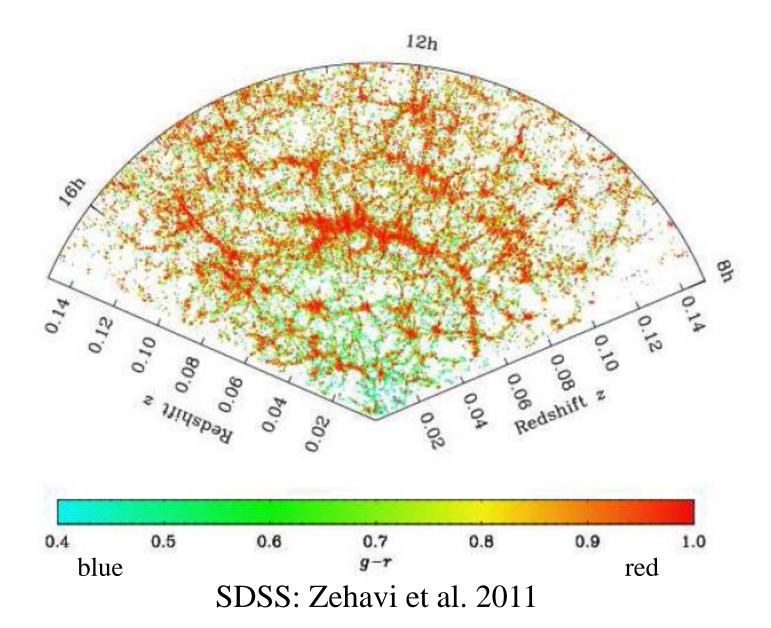




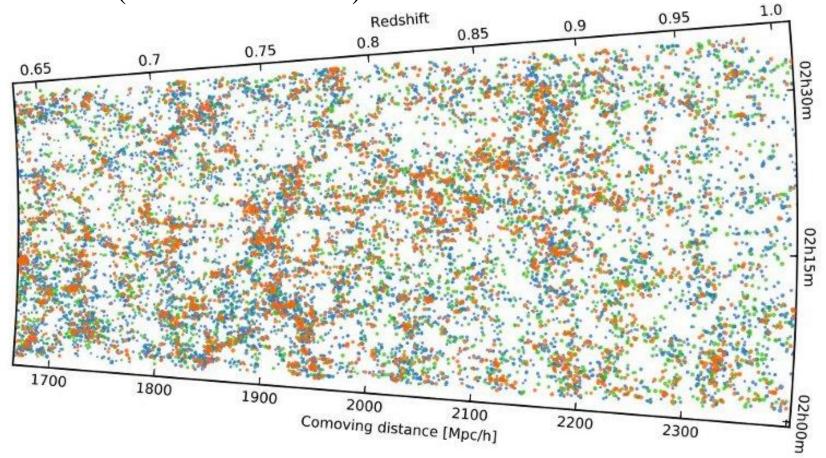
Hierarchical clustering in GR



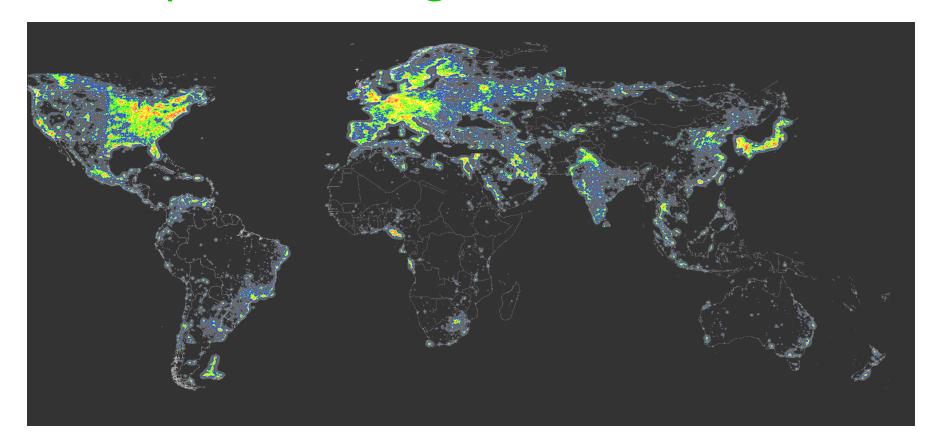
= the persistence of memory



### VIPERS (Guzzo et al. 2013)



### Complication: Light is a biased tracer



Not all galaxies are fair tracers of dark matter To use galaxies as probes of underlying dark matter distribution, must understand 'bias'

### Biased standard lore

Biased tracers, such as galaxies, form in small-scale overdensities. Quantify bias by estimating  $<\Delta|\delta_b>$ .

In Gaussian field,  $\langle \Delta | \delta_b \rangle = \delta_b \langle \Delta \delta \rangle / \langle \delta \delta \rangle$ 

- multiplicative factor  $\mathbf{b} = \frac{\delta_b}{\delta} > \text{times} < \Delta \delta >$
- bias larger for massive objects

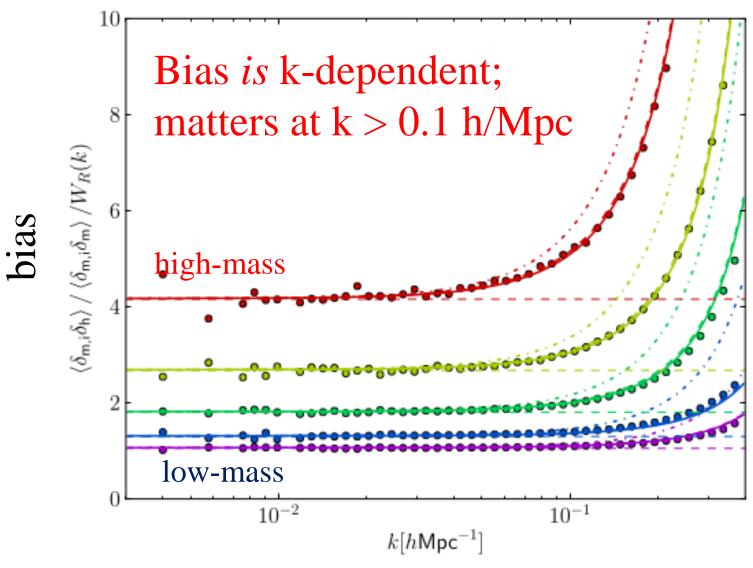
Bias affects amplitude but not shape/scale dependence of correlation signal

(For Gaussian initial conditions) bias is 'linear' 'scale-independent'

### Standard lore

- -Galaxy formation surely more complicated
- -This will complicate bias:  $\langle \Delta | \delta_b, \delta_b', \text{ shear}_b \dots \rangle$
- -Expect these involve derivatives (e.g., if galaxies form in small scale peaks in the density field)
- -So bias will be k-dependent
- -Isotropy: leading order is bias(k) =  $b_{10} + b_{01} k^2$
- -This is generic
- -Modifications to GR also lead to k<sup>2</sup> corrections

(For Gaussian initial conditions) bias is 'linear' 'scale-independent' at small k (large-scales)



Baldauf, Desjacques, Seljak (2015)

## Galaxy surveys to test GR

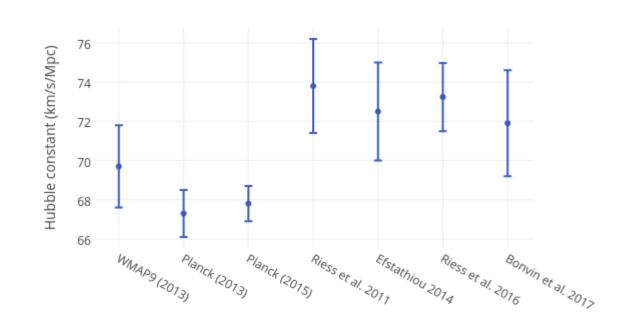
Number of modes increases dramatically with k

Understanding k-dependence of bias lets one use many more modes to increase 'reach'

#### **Hubble Constant Measurements**

Current tension in H<sub>0</sub>

Would be nice to probe intermediate z



If this is new physics, would like probe to not be too tied to standard model

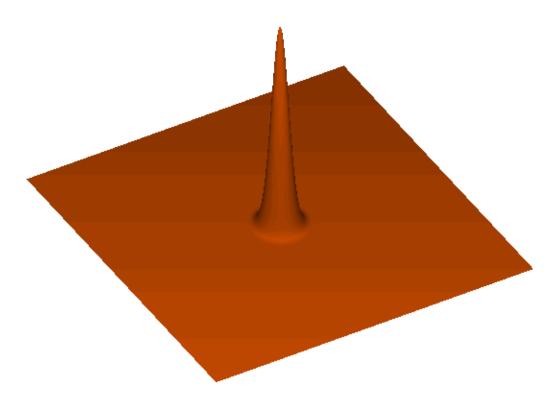
## Cosmology from the same physics imprinted in the galaxy distribution at different redshifts:

Baryon Acoustic Oscillations

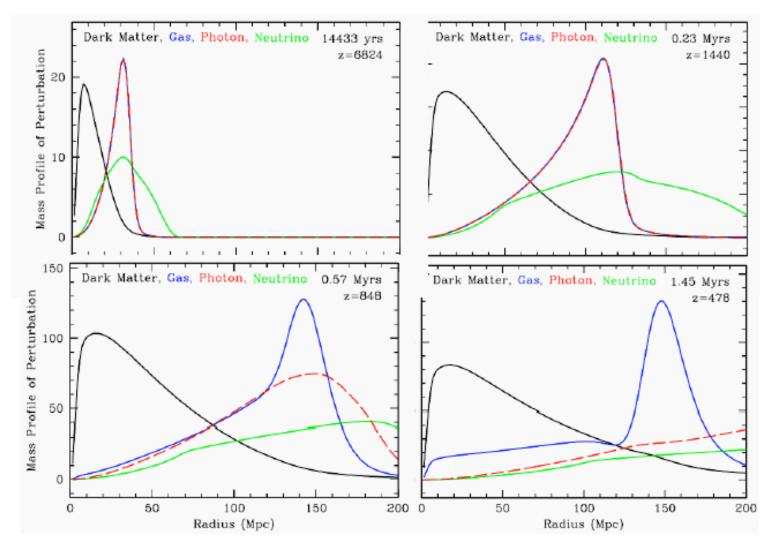
# CMB from interaction between photons and baryons when Universe was 3,000 degrees (about 300,000 years old)

• Do galaxies which formed much later carry a memory of this epoch of last scattering?

Photons 'drag' baryons for ~400,000 years (time set by  $\Omega_{\rm m}h^2$ ) at speed ~ c/[3(1 + 3 $\rho_{\rm b}/4\rho_{\gamma}$ )]<sup>1/2</sup> (set by  $\Omega_{\rm b}h^2$ ) ... 300,000 light years ~ 100,000 pc ~ 100 kpc

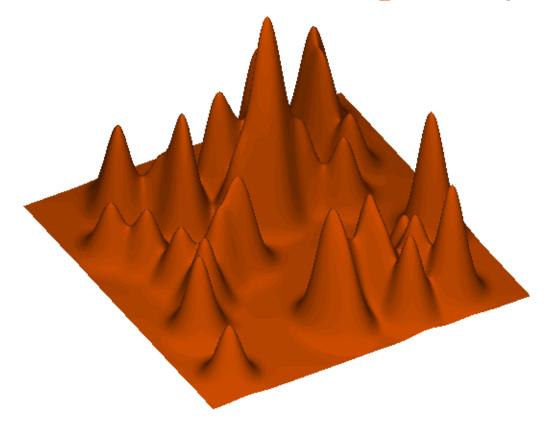


Expansion of Universe since then stretches this to  $(3000/2.725) \times 100 \text{ kpc} \sim 100 \text{ Mpc}$ 



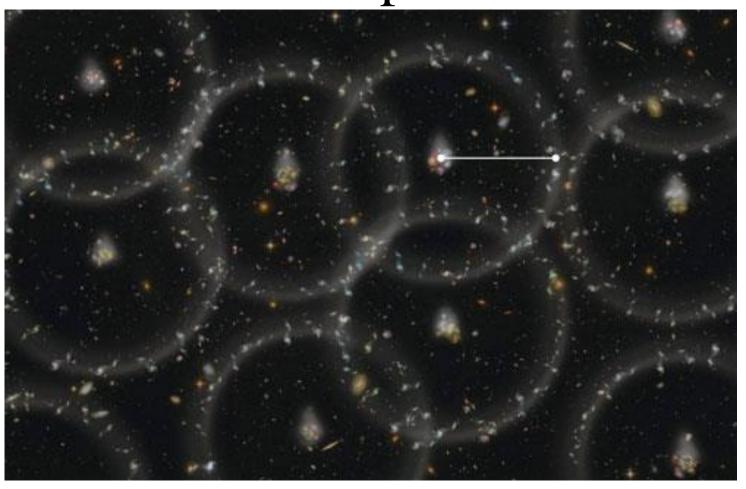
Eisenstein, Seo, White 2007

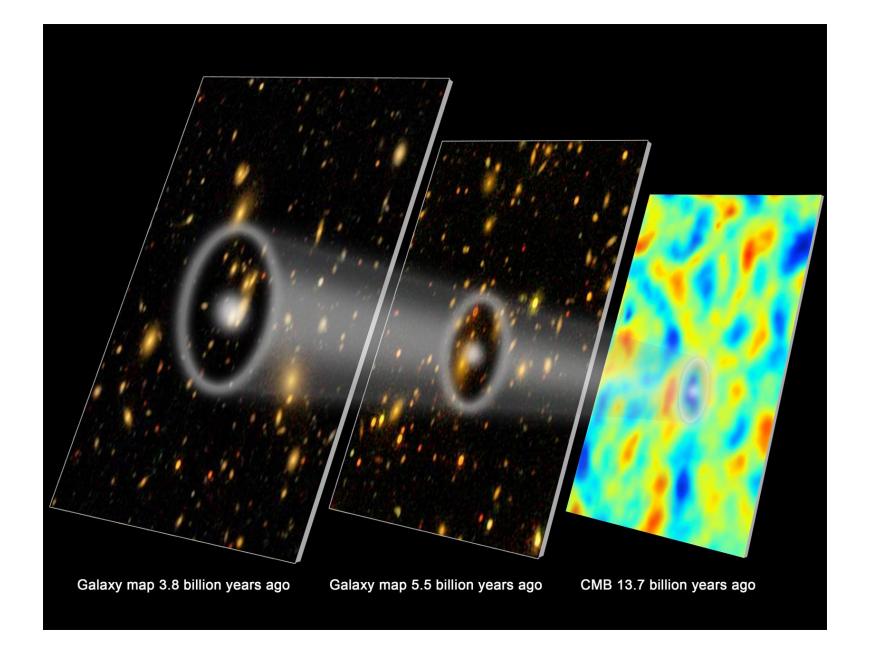
## Expect to see a feature in the Baryon distribution on scales of 100 Mpc today



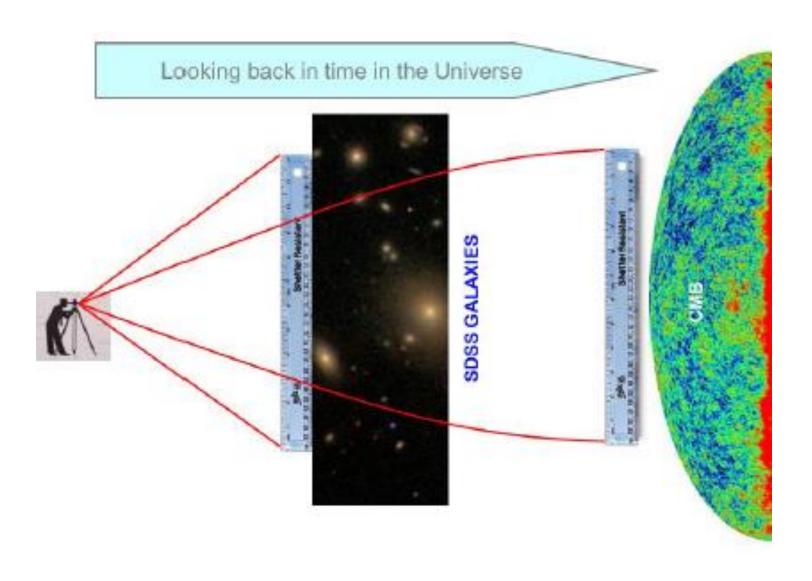
But this feature is like a standard rod:
We see it in the CMB itself at z~1000;
should see it in galaxy distribution at other z

## Cartoon of expected effect

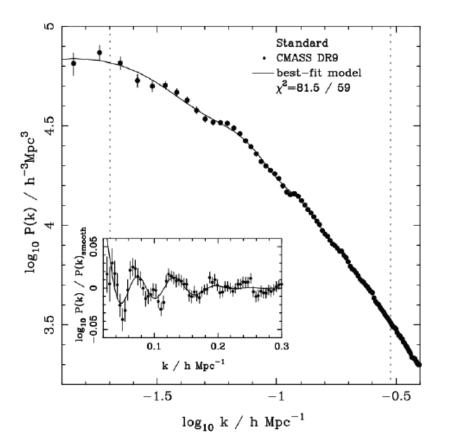


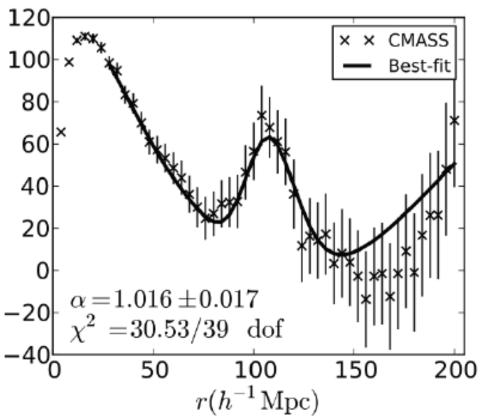


## Baryon Oscillations in the Galaxy Distribution



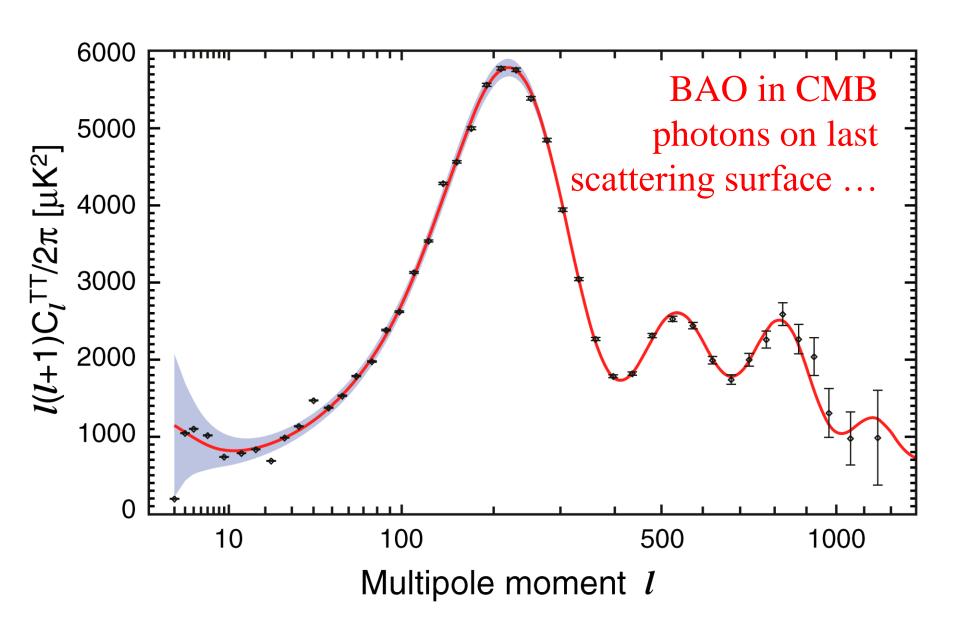
Spike in real space  $\xi(r)$  means  $\sin(kr_{BAO})/kr_{BAO}$  oscillations in Fourier space P(k)

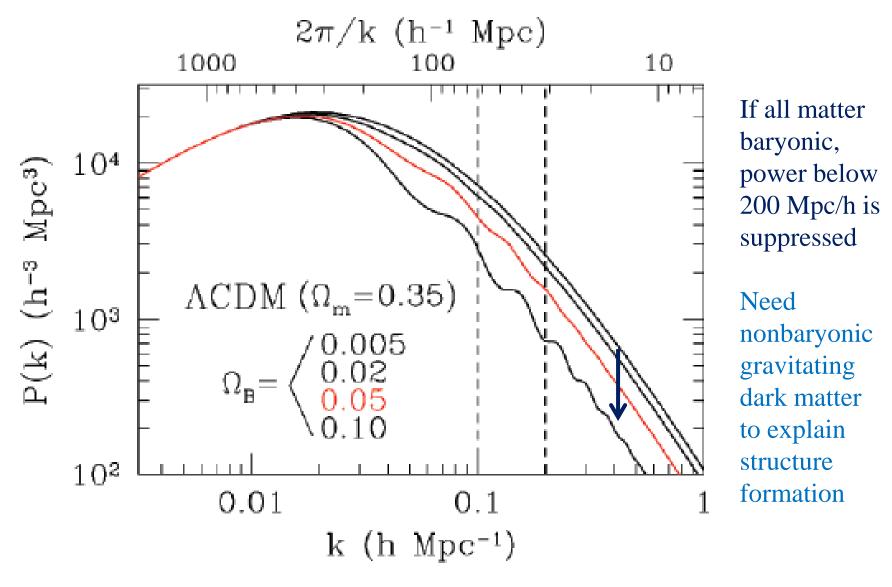




In fact, spike is not delta function because photons-baryons not perfectly coupled and last scattering not instantaneous:

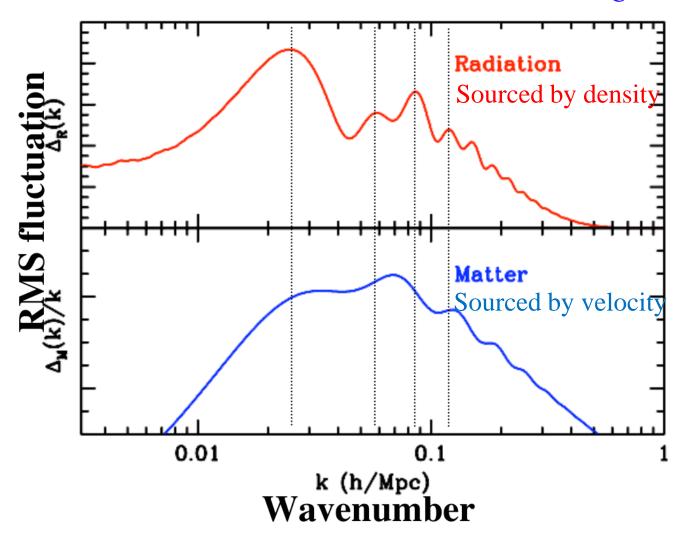
 $e^{-(k/kSilk)^{1.4}} \sin(kr_{BAO})/kr_{BAO}$ 





... should/are seen in matter distribution at later times

## Baryon oscillations in matter smaller than in photons by factor of $\Omega_b/\Omega_m$ .

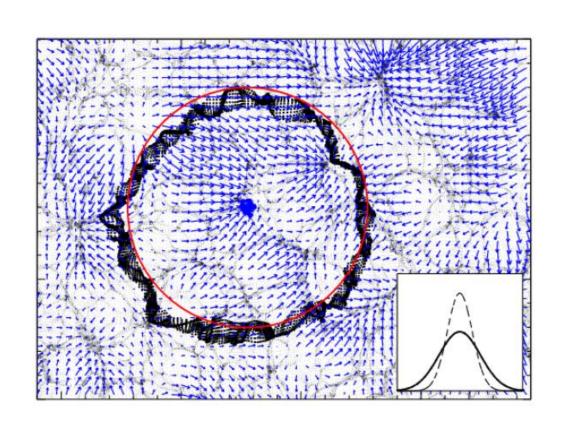


## We need a tracer of the baryons

- Luminous Red Galaxies
  - Luminous, so visible out to large distances
  - Red, presumably because they are old, so probably single burst population, so evolution relatively simple
  - Large luminosity suggests large mass, so probably strongly clustered, so signal easier to measure
  - Linear bias on large scales, so length of rod not affected by galaxy tracer!

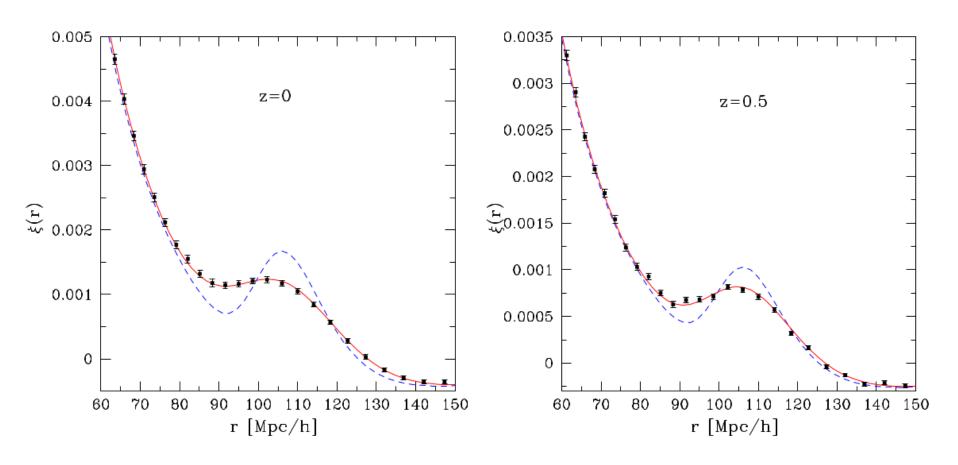
## Although length 'not' affected, BAO 'peak' is smeared out (Bharadwaj 1996)

x = q + S(t|q)S is shift from initial to final position. It is speed x time ~ Gaussian random number with rms ~7 Mpc



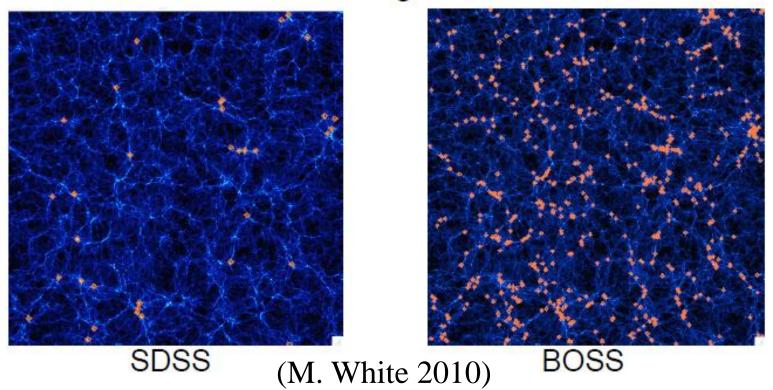
Padmanabhan et al. 2012

## Smearing of BAO peak is dramatic



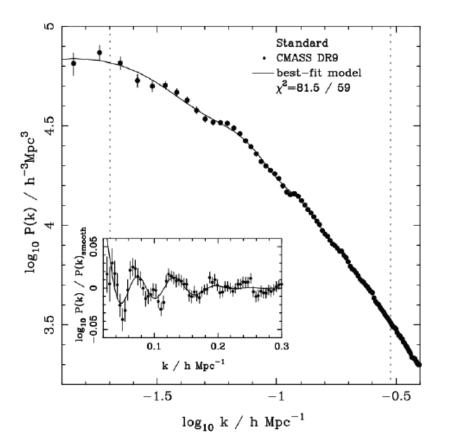
Crocce & Scoccimarro 2008

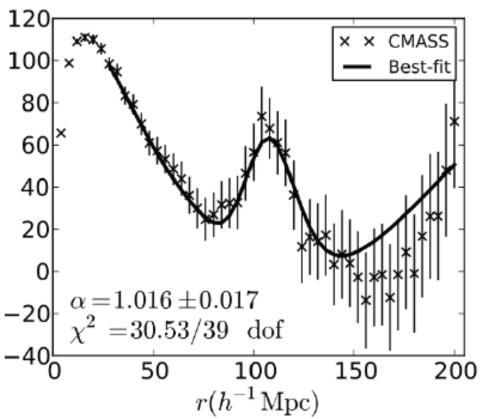
## The cosmic web at z~0.5, as traced by luminous red galaxies



A slice 500h-1 Mpc across and 10 h-1 Mpc thick

Spike in real space  $\xi(r)$  means  $\sin(kr_{BAO})/kr_{BAO}$  oscillations in Fourier space P(k)

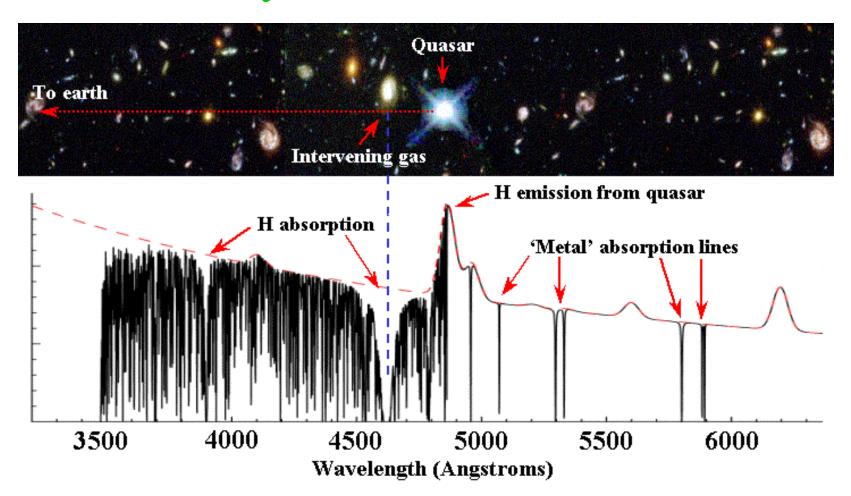




In fact, spike is not delta function because photons-baryons not perfectly coupled and last scattering not instantaneous:

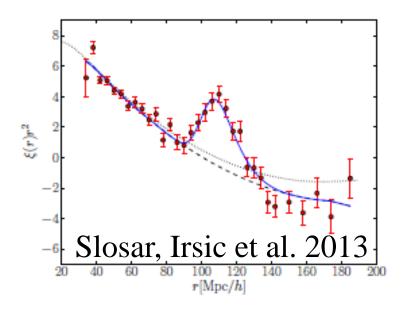
 $e^{-(k/kSilk)^{1.4}} \sin(kr_{BAO})/kr_{BAO}$ 

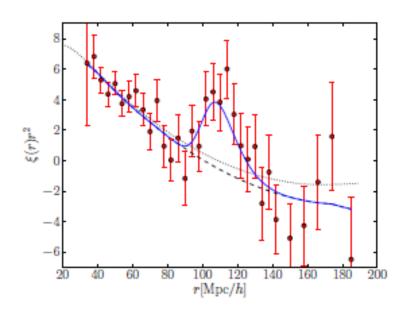
## Can see baryons that are not in stars ...



High redshift structures constrain neutrino mass

## BAO in Ly- $\alpha$ forest at z~2.4





 Signal from cross-correlating different lines of sight

### How to estimate the 'scale'?

Position of peak not affected; height/width are

Noisy data = don't differentiate measured  $\xi(r)$ !

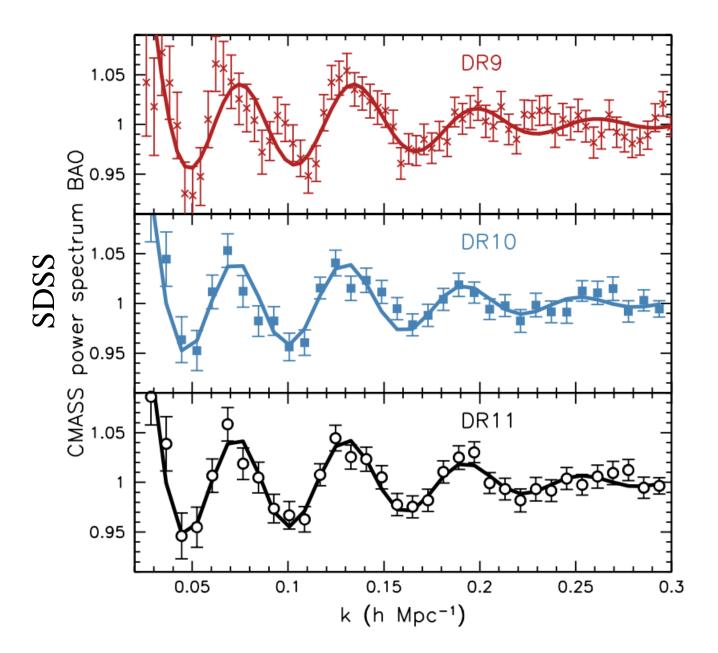
Standard approach is to fit a model to  $\xi(r)$  or P(k) or to undo smearing 'reconstruct' and then fit a model

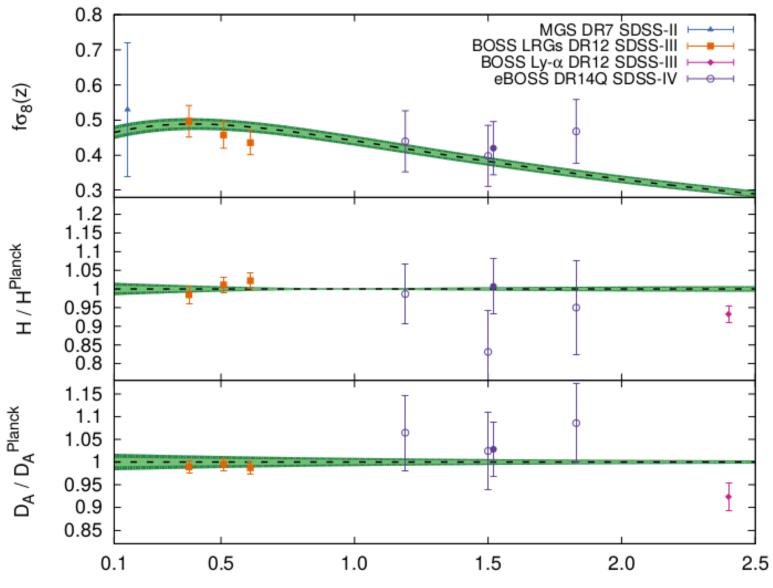
In either case, require cosmological template

In addition, BAO feature involves two components of distance across line of sight, and one component along line of sight. So 'average distance' is:

$$D_V(z) \equiv \left[ (1+z)^2 D_A(z)^2 \frac{cz}{H(z)} \right]^{1/3}$$

To convert measured angles/redshifts into comoving distances, one must assume a fiducial cosmology, and then ask if the BAO scale comes out to the expected one.

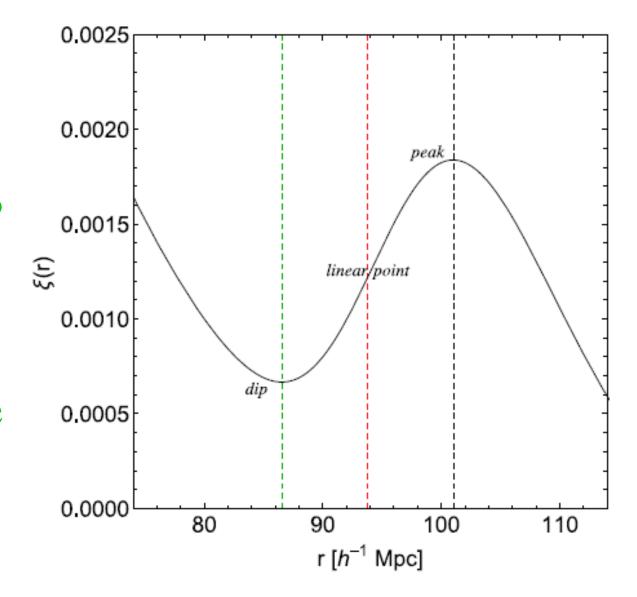


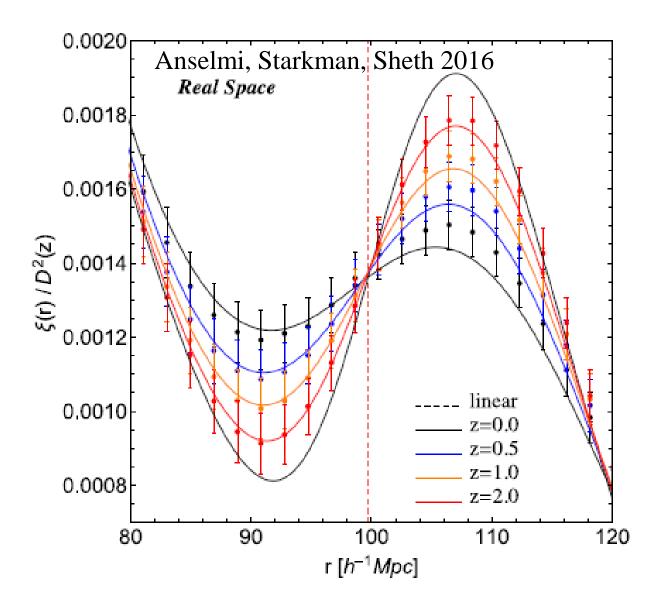


Gil-Marin et al. 2018 (eBOSS) <sup>z</sup>

Can we be less model dependent?

Rethink:
What is the 'rod'?





Although peak height changes, midpoint – linear point – doesn't

## Stability of inflection point

- Nonlinear smearing:  $\exp(-k^2 R_{NL}^2) \sim 1 k^2 R_{NL}^2$  so correction is like  $k^2 \sim 1$  like a Laplacian
- In real space:  $R_{NL}^2 \left[ \frac{2}{r} \frac{d\xi}{dr} + \frac{d^2\xi}{dr^2} \right]$
- At local maximum  $d\xi/dr = 0$  but second derivative large
- At inflection point  $d^2\xi/dr^2 = 0$ , and remaining  $d\xi/dr$  term scales as  $2 (R_{NL}/r_{inf})^2 d\xi/dlnr$ ; this is small because  $(R_{NL}/r_{inf})^2 \sim (10/100)^2$

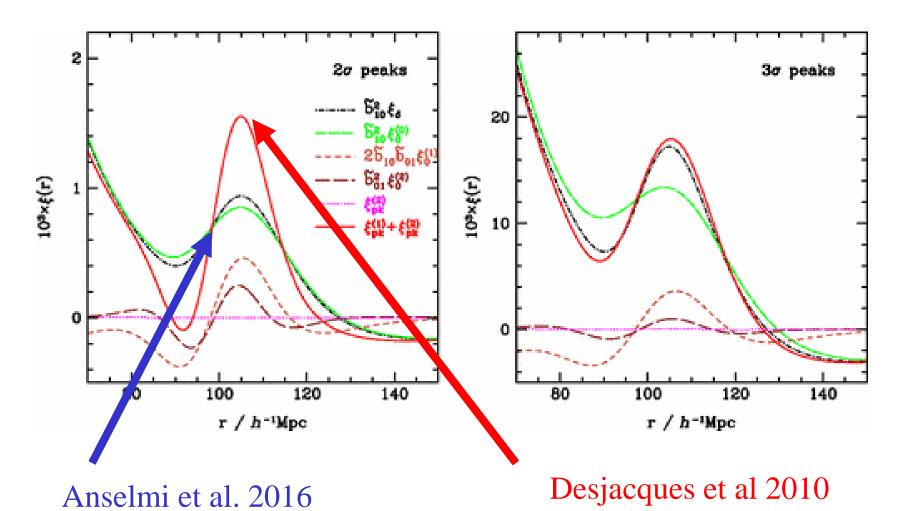
#### Standard lore

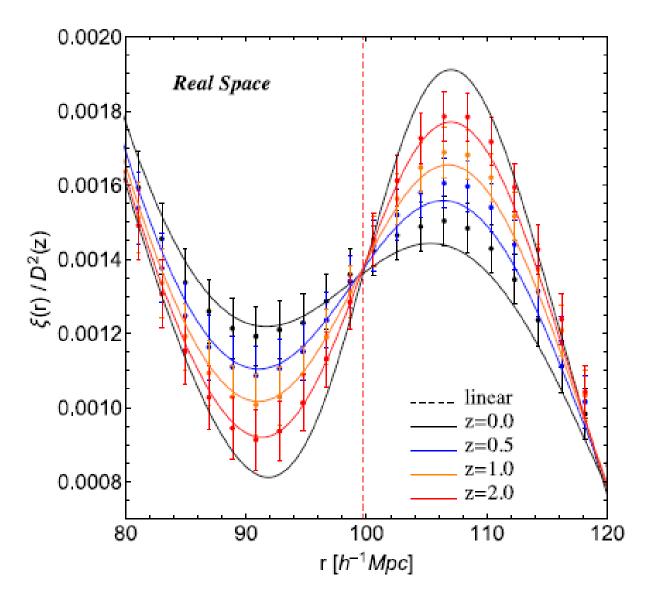
- Gravitational clustering creates nonlinear objects called haloes
- Halo properties (assembly, clustering)
   correlate most strongly with their mass
- Galaxies form in haloes
- Understand halos to understand galaxies

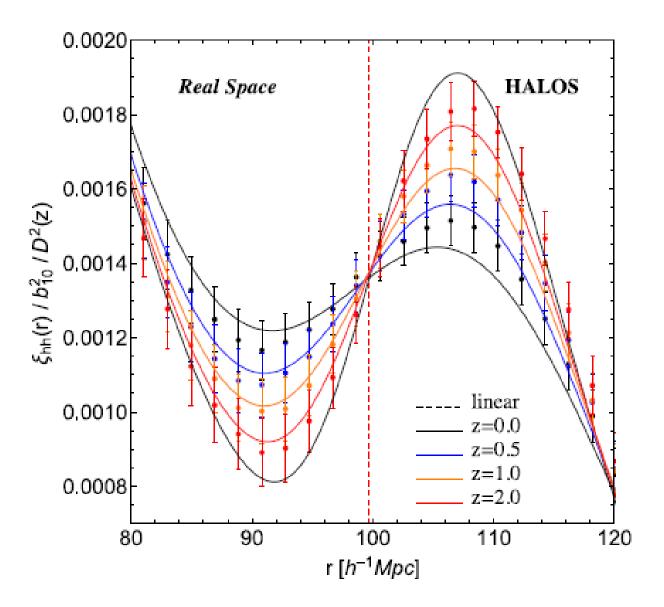
# k<sup>2</sup>-bias and the inflection point

- k<sup>2</sup> from a Laplacian
- In real space:  $b_{01} R_h^2 [2/r d\xi/dr + d^2\xi/dr^2]$
- At local maximum dξ/dr =0 but second derivative large
- At inflection point  $d^2\xi/dr^2 = 0$ , and  $d\xi/dr$  term suppressed by  $(R_h/r_{BAO})^2 \sim (5/100)^2$

#### Maximum vs inflection in the Peaks bias model







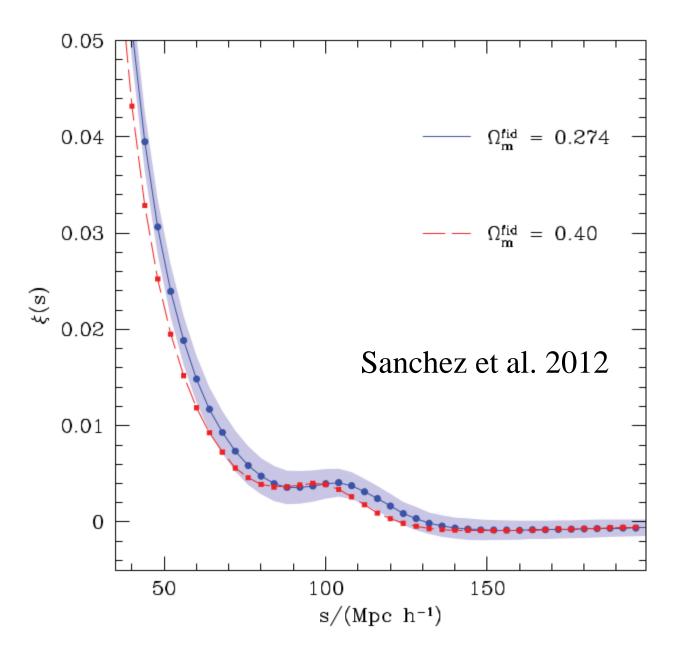
In practice, BAO feature involves two components of distance across line of sight, and one component along line of sight. So 'average distance' is:

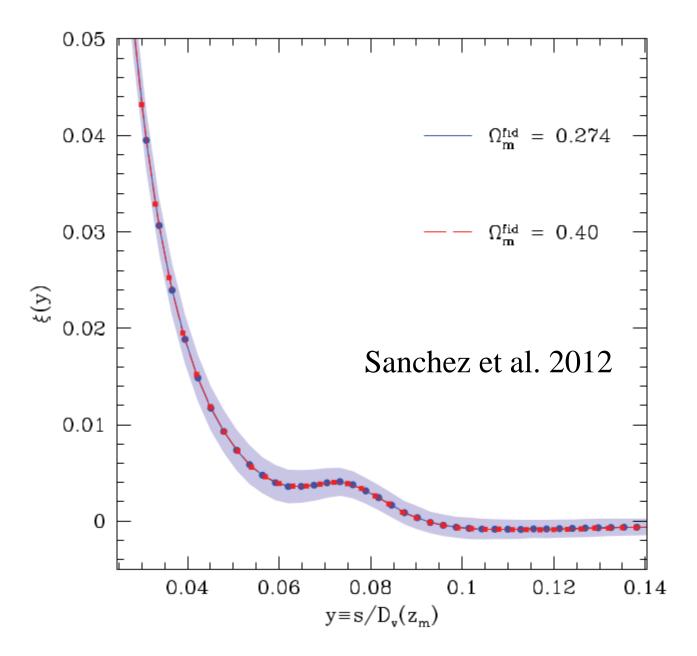
$$D_V(z) \equiv \left[ (1+z)^2 D_A(z)^2 \frac{cz}{H(z)} \right]^{1/3}$$

In addition, we must convert measured angles/redshifts into comoving distances. We must assume a fiducial cosmology to do so. However,

$$\xi_0(s^{\text{fid}}(z)/D_V^{\text{fid}}(z)) \simeq \xi_0(s^{\text{true}}(z)/D_V^{\text{true}}(z))$$

(Sanchez et al. 2012).

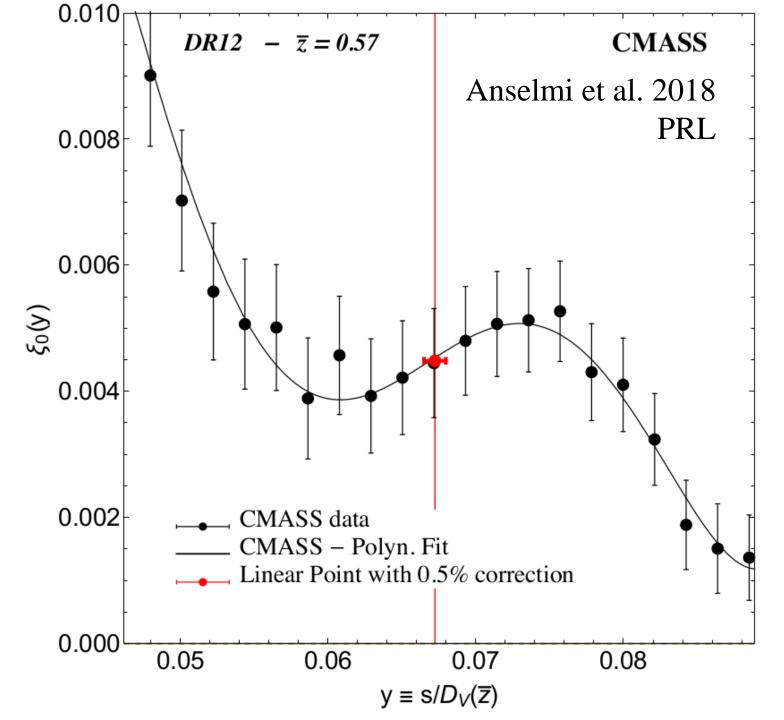




Usual analysis uses shape of Pk in fiducial cosmology to estimate BAO scale. Must account for smearing, or massage data to remove it (known as 'reconstruction')

LP can estimate BAO scale by fitting (5<sup>th</sup> order) polynomial

- no prejudice about shape of Pk
- no reconstruction



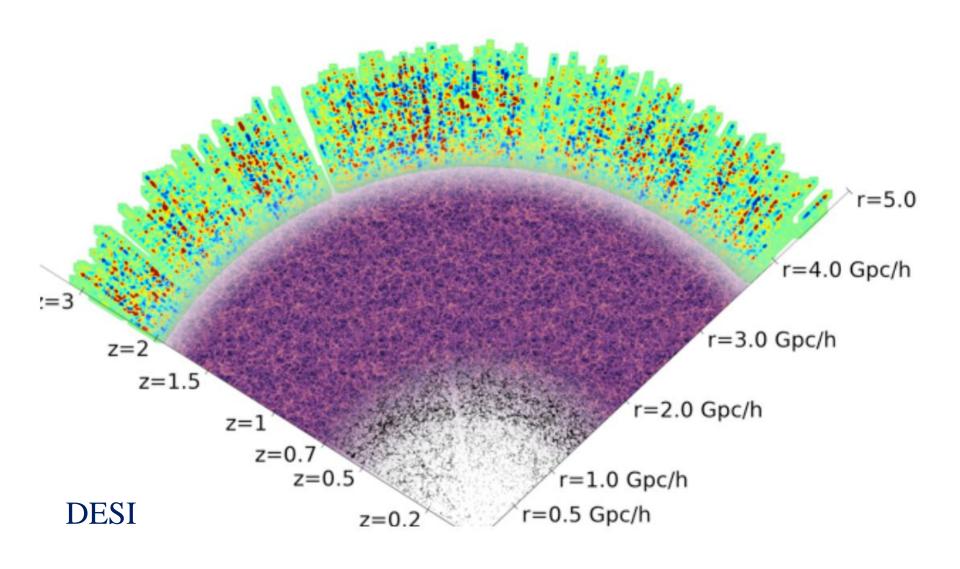
$$D_V^{\text{LP}}(\bar{z}_{\text{LOWZ}} = 0.32) = (1264 \pm 28) \,\text{Mpc}$$
  
 $D_V^{\text{LP}}(\bar{z}_{\text{CMASS}} = 0.57) = (2056 \pm 22) \,\text{Mpc}$ 

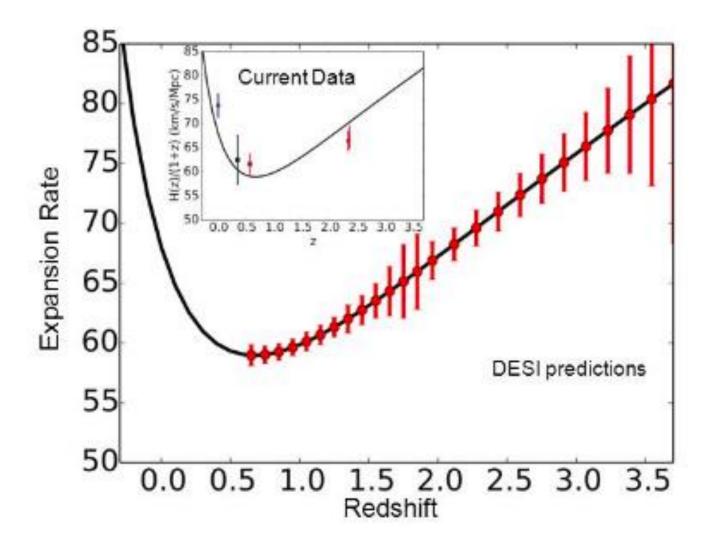
$$D_V^{\text{BOSS;PRE-RECON}}(\bar{z}_{\text{LOWZ}} = 0.32) = (1247 \pm 37) \text{Mpc}$$
  
 $D_V^{\text{BOSS;PRE-RECON}}(\bar{z}_{\text{CMASS}} = 0.57) = (2043 \pm 27) \text{Mpc}$ 

$$D_V^{\rm BOSS;POST-RECON}(\bar{z}_{\rm LOWZ}=0.32)=(1265\pm21){\rm Mpc}$$
  
 $D_V^{\rm BOSS;POST-RECON}(\bar{z}_{\rm CMASS}=0.57)=(2031\pm20){\rm Mpc}$ 

• The baryon distribution today 'remembers' the time of decoupling/last scattering; can use this to build a 'standard rod'

- Next decade will bring observations of this standard rod out to redshifts z ~ 2
- Sub-percent level constraints on model parameters





Usual analysis uses shape of Pk in fiducial cosmology to estimate BAO scale.

LP can estimate BAO scale with

- no prejudice about shape of P(k)
- good agreement with traditional estimate
- no reconstruction required
- we understand why (robust to  $k^2$ )

Linear Point allows estimate of distance scale with fewer assumptions about cosmological dependence of signal

### In progress:

- quadrupole
- growth factor?