Early Universe cosmology with the Sunyaev Zel'dovich effect

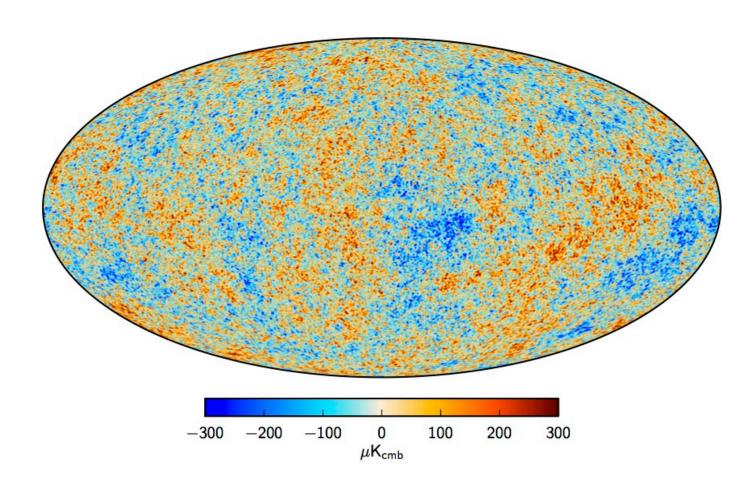


Matthew C. Johnson York University Perimeter Institute



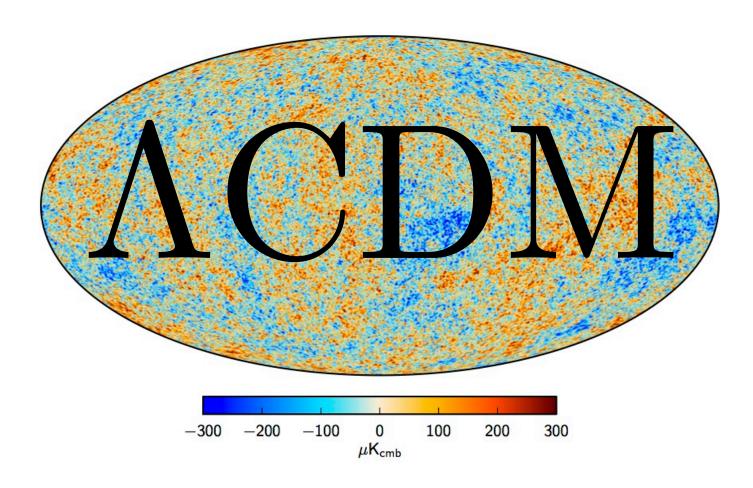
Collaborators: J. Cayuso, A. Deutsch, E. Dimastrogiovanni, S. Ferraro, M. Harris, M. Madhavacheril, J. Mertens, M. Münchmeyer, K. Smith, A. Terrana, and P. Zhang

The primary CMB

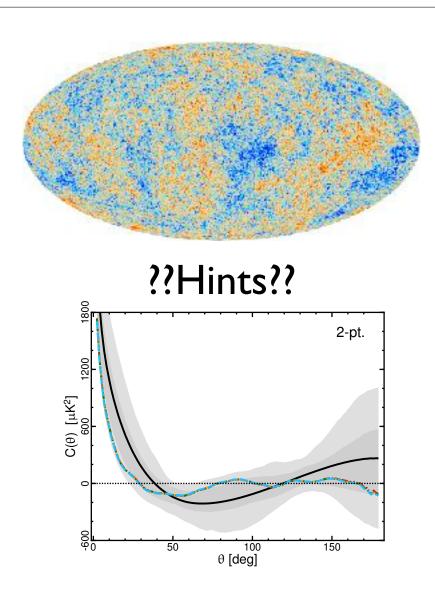


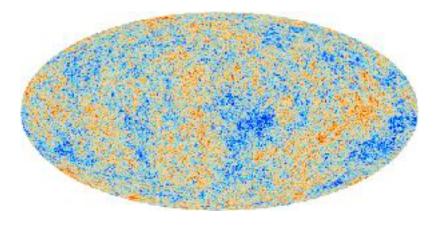
(Planck 2015 Temperature)

The primary CMB

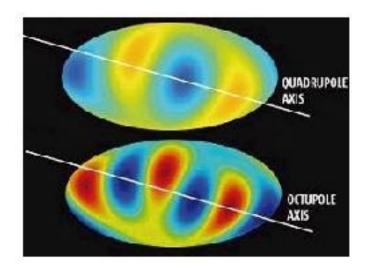


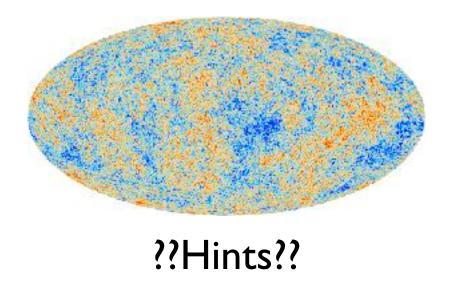
(Planck 2015 Temperature)

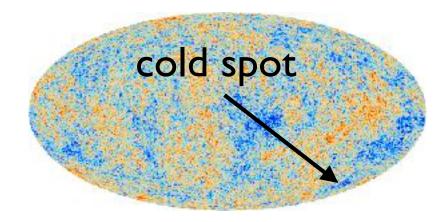


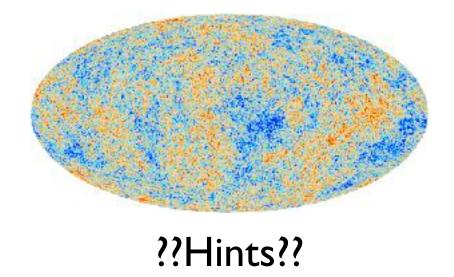


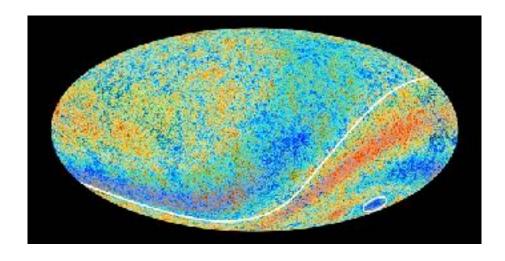
??Hints??

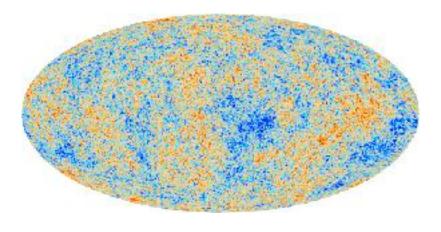




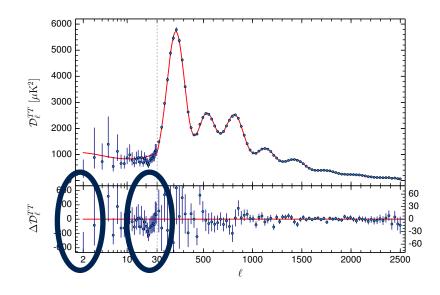






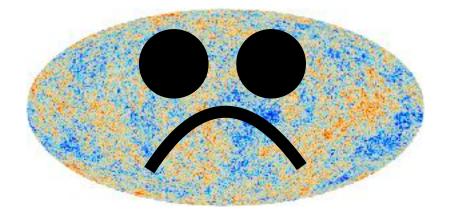


??Hints??



The primary CMB: what's next?

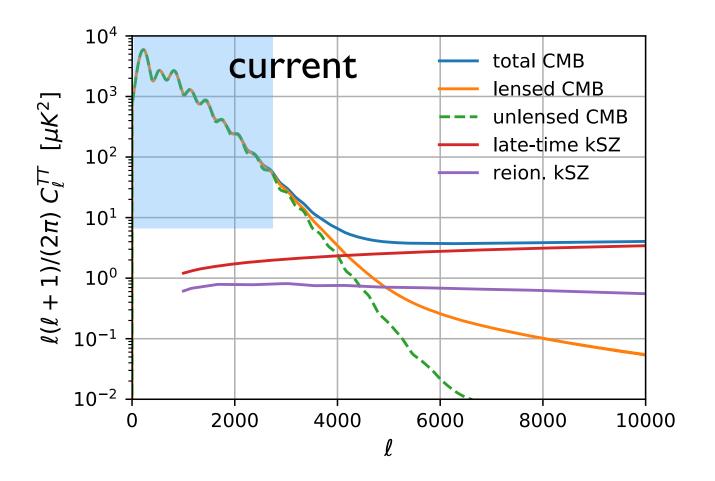
Sadly, the primary CMB will not teach us much more**.



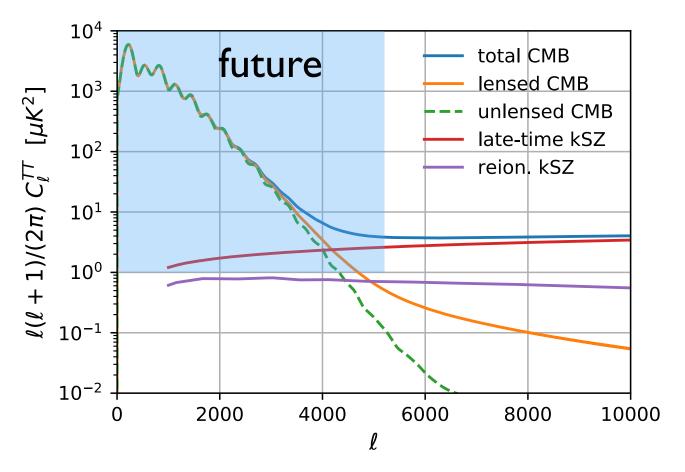
Cosmic Variance:

Projection of 3D field. Few modes on large scales/finite volume.

• CMB secondaries: CMB photons scattered from mass or charges.



CMB secondaries: CMB photons scattered from mass or charges.



At the resolution/sensitivity frontier!

• CMB Lensing: scattering from mass.

$$\Delta T_{\rm lensed} = \nabla T_{\rm unlensed} \cdot \nabla \phi$$

- \bullet Can infer ϕ from temperature and polarization measurements.
- We're now in the 'lensing era', with exciting constraints on cosmology emerging from on-going experiments.

(See Mat Madhavacheril's talk tomorrow)

- Sunyaev Zel'dovich (SZ) effect: scattering from free electrons after reionization.
 - Kinetic SZ (kSZ) effect: temperature anisotropies due to scattering from bulk motion of free electrons (preserves blackbody).

$$\Delta T_{\rm kSZ} \sim \tau(\hat{n}) v_{\rm eff}(\hat{n})$$

 Polarized SZ (pSZ) effect: polarization anisotropies due to scattering from quadrupole seen by free electrons (preserves blackbody).

$$\Delta E, B_{\rm pSZ} \sim \tau(\hat{n}) q_{\rm eff}^{E,B}(\hat{n})$$

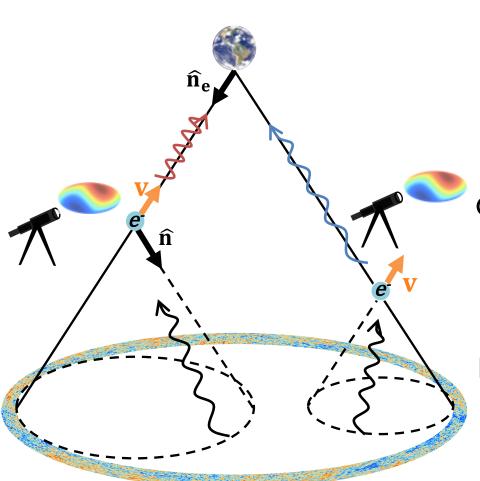
The induced temperature anisotropies are given by a line of sight integral:

$$\frac{\Delta T}{T}\Big|_{\text{kSZ}}(\hat{\mathbf{n}}_e) = -\sigma_T \int_0^{\chi_{\text{re}}} d\chi_e \ a_e(\chi_e) \ \bar{n}_e(\chi_e) \ (1 + \delta(\hat{\mathbf{n}}_e, \chi_e)) \sum_{m=-1}^1 v_{\text{eff}}^m(\hat{\mathbf{n}}_e, \chi_e) Y_{1m}(\hat{\mathbf{n}}_e).$$

The kSZ effect depends on the moments of the CMB dipole field:

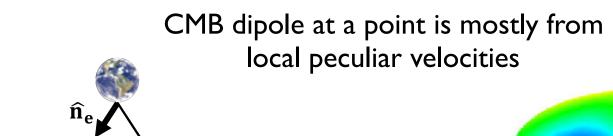
$$v_{\rm eff}^m(\hat{\mathbf{n}}_e,\chi_e) = \int_{\Omega} d^2\hat{\mathbf{n}} \; \Theta(\hat{\mathbf{n}}_{\mathbf{e}},\chi_e,\hat{\mathbf{n}}) Y_{1m}^*(\hat{\mathbf{n}})$$
 Sachs-Wolfe Doppler
$$\frac{1}{3} \Psi(\mathbf{r}_{\rm dec},\chi_{\rm dec}) \quad \text{Integrated Sachs-Wolfe} \quad \hat{\mathbf{n}} \cdot [\mathbf{v}(\mathbf{r}_e,\chi_e) - \mathbf{v}(\mathbf{r}_{\rm dec},\chi_{\rm dec})]$$

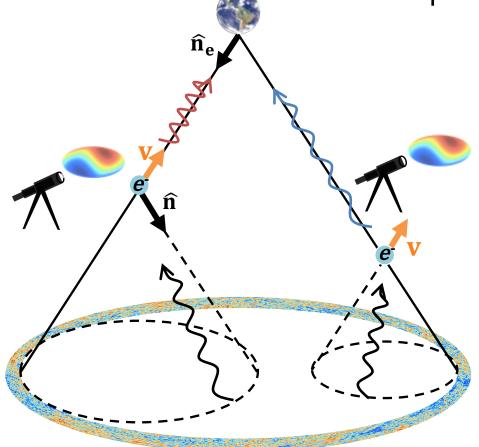
$$2 \int_{\chi_e}^{\chi_{\rm dec}} \frac{d}{d\chi} \Psi(\mathbf{r}(\chi),\chi) d\chi$$

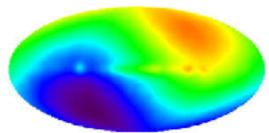


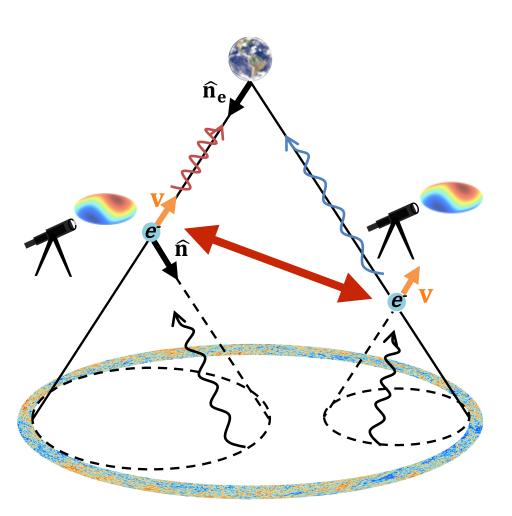
Provides a census of the locally observed CMB dipole at the location of each electron.

Provides information off of our past light cone - new information beyond CMB.









'primordial' information encoded in longrange (in angle or redshift) correlations of the dipole field.

kSZ Tomography

$$\Delta T_{\rm kSZ} \sim \tau(\hat{n}) v_{\rm eff}(\hat{n})$$

Given a tracer of the electron density field (e.g. a galaxy survey),
 can derive a quadratic estimator for the dipole field:

$$\bar{v}_{\text{eff}}^{\alpha}(\hat{n}) = QE\left[\Delta T(\hat{n}), \delta^{\alpha}(\hat{n})\right]$$

 \bullet Get a coarse-grained dipole field, averaged over each tomographic redshift bin α

Preserves long-range correlations, small-scale peculiar velocities cancel.



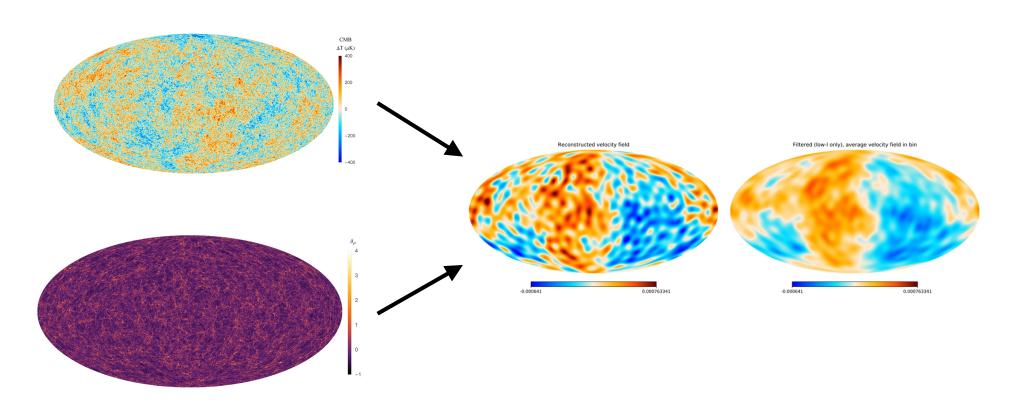
Excellent probe of very large scales!

[Zhang and Stebbins, Zhang '10, Terrana, Harris, MCJ '16]

kSZ Tomography

Proof-of-concept with N-body simulations:

(See James Mertens' talk tomorrow)



The polarized Sunyaev Zel'dovich (pSZ) effect

The induced polarization anisotropies are given by a line of sight integral:

$$(Q \pm iU)^{\text{pSZ}}(\mathbf{\hat{n}}_e) = -\frac{\sqrt{6} \sigma_T}{10} \int d\chi_e \ a_e \bar{n}_e(\chi_e) (1 + \delta_e(\mathbf{\hat{n}}_e, \chi_e)) \sum_{m=-2}^{2} q_{\text{eff}}^m(\mathbf{\hat{n}}_e, \chi_e) \pm 2Y_{2m} \ (\mathbf{\hat{n}}_e)$$

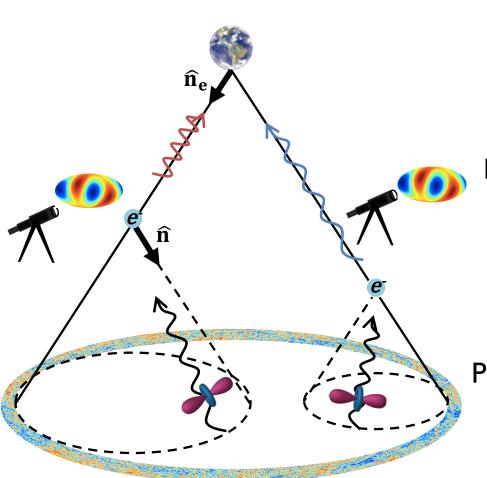
The pSZ effect depends on the components of the local CMB quadrupole:

$$q_{\mathrm{eff}}^{m}(\mathbf{\hat{n}}_{e},\chi_{e}) = \int_{\Omega} d^{2}\mathbf{\hat{n}} \ \left[\Theta(\chi_{e},\mathbf{\hat{n}}_{e},\mathbf{\hat{n}}) + \Theta^{T}(\chi_{e},\mathbf{\hat{n}}_{e},\mathbf{\hat{n}})\right] \ Y_{2m}^{*}(\mathbf{\hat{n}})$$
Sachs-Wolfe Integrated Sachs-Wolfe

Doppler (local part doesn't contribute)

[Kamionkowski, Loeb '97, Alizadeh, Hirata '12, Deutsch, Dimastrogiovanni, MCJ, Münchmeyer, Terrana '17]

The polarized Sunyaev Zel'dovich (pSZ) effect



Provides a census of the locally observed CMB quadrupole at the location of each electron.

Provides information off of our past light cone - new information beyond CMB, different information from kSZ.

All 'primordial' unlike kSZ.

pSZ Tomography

$$\Delta E, B_{\rm pSZ} \sim \tau(\hat{n}) q_{\rm eff}^{E,B}(\hat{n})$$

Given a tracer of the electron density field (e.g. a galaxy survey),
 can derive a quadratic estimator for the quadrupole field:

$$q_{\text{eff}}^{\alpha,E}, q_{\text{eff}}^{\alpha,B} = QE^{E,B} \left[E(\hat{n}), B(\hat{n}), \delta^{\alpha}(\hat{n}) \right]$$

- \bullet Get a coarse-grained quadrupole field, averaged over each tomographic redshift bin α
- E-mode quadrupole: scalar+tensor
- B-mode quadrupole: only tensor

New cosmological observables

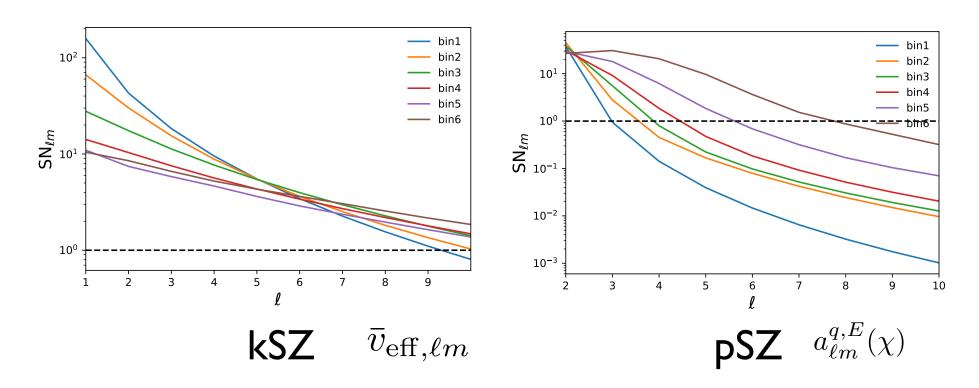
 CMB + LSS enables the construction of new cosmological observables from CMB secondaries:

$$\phi(\hat{n}) \quad \bar{v}_{\rm eff}^{\alpha}(\hat{n}) \quad \bar{q}_{\rm eff}^{\alpha,E}(\hat{n}) \quad \bar{q}_{\rm eff}^{\alpha,B}(\hat{n})$$

 All are indirectly determined from statistics of small-scale fluctuations: ideally suited for resolution/sensitivity frontier.

Can we detect it?

• Reconstruction of the bin-averaged dipole field via quadratic estimator.



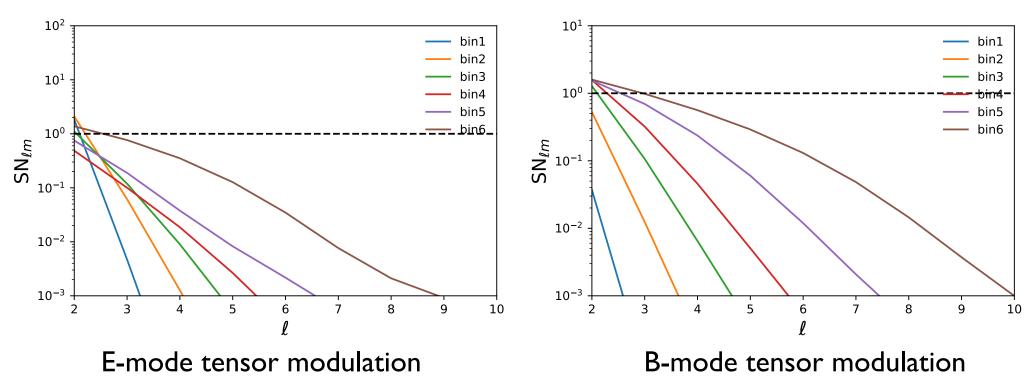
Per-mode signal to noise assuming no foregrounds, full sky, CMB-S4 like CMB experiment, LSST-like galaxy survey.

[Terrana, Harris, MCJ '16, Deutsch, Dimastrogiovanni, MCJ, Münchmeyer, Terrana '17]

Can we detect it?

 Reconstruction of the E-mode and B-mode tensor quadrupole field via quadratic estimator using both E-mode and B-mode polarization.





[Alizadeh, Hirata '12, Deutsch, Dimastrogiovanni, MCJ, Münchmeyer, Terrana '17]

Can we detect it?

- In principle, yes! There is a signal to go after.
- Resolution and sensitivity requirements of next-generation CMB (e.g. CMB S4) are in the ballpark of what would be required.
- Massive galaxy surveys such as LSST, Euclid, SKA are in the ballpark of what would be required.
- Still, won't be easy: foregrounds, partial sky coverage, non-gaussian and non-uniform instrumental noise, other systematics, etc.

Important point: This technique is not cosmic variance limited, and improvements can be made!

What would we learn?

- Intrinsic CMB dipole. [Cayuso,MCJ, Mertens]
- Primordial non-gaussianity: factor of ~2 improvement on CMB or LSS alone. [Ferraro, Giri, MCJ, Madhavacheril, Münchmeyer, Smith]
- Dark energy: competitive constraints to g-g lensing, different degeneracies. [Cayuso,MCJ, Mertens]
- Models of low-I CMB anomalies: improved constraints on e.g. power suppression on large-scales, power asymmetry, alignment of multipoles..... [Cayuso,MCJ, Mertens]
- Tensors: new constraints on r, nt, chirality...

 [Deutsch, Dimastrogiovanni, MCJ, Münchmeyer]

The best part

This science can be done with planned/funded CMB experiments and galaxy redshift surveys.

There is in principle lots of progress to make using these techniques in the future.

Thanks!

