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# Status of flavor physics

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# Flavor visits the Dr.

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Dr: How are you?

Flavor: Overall good, but I have some issues

Dr: Yes, I heard about them, they are all over the internet

Flavor: What do you think we can do?

Dr: More lab tests

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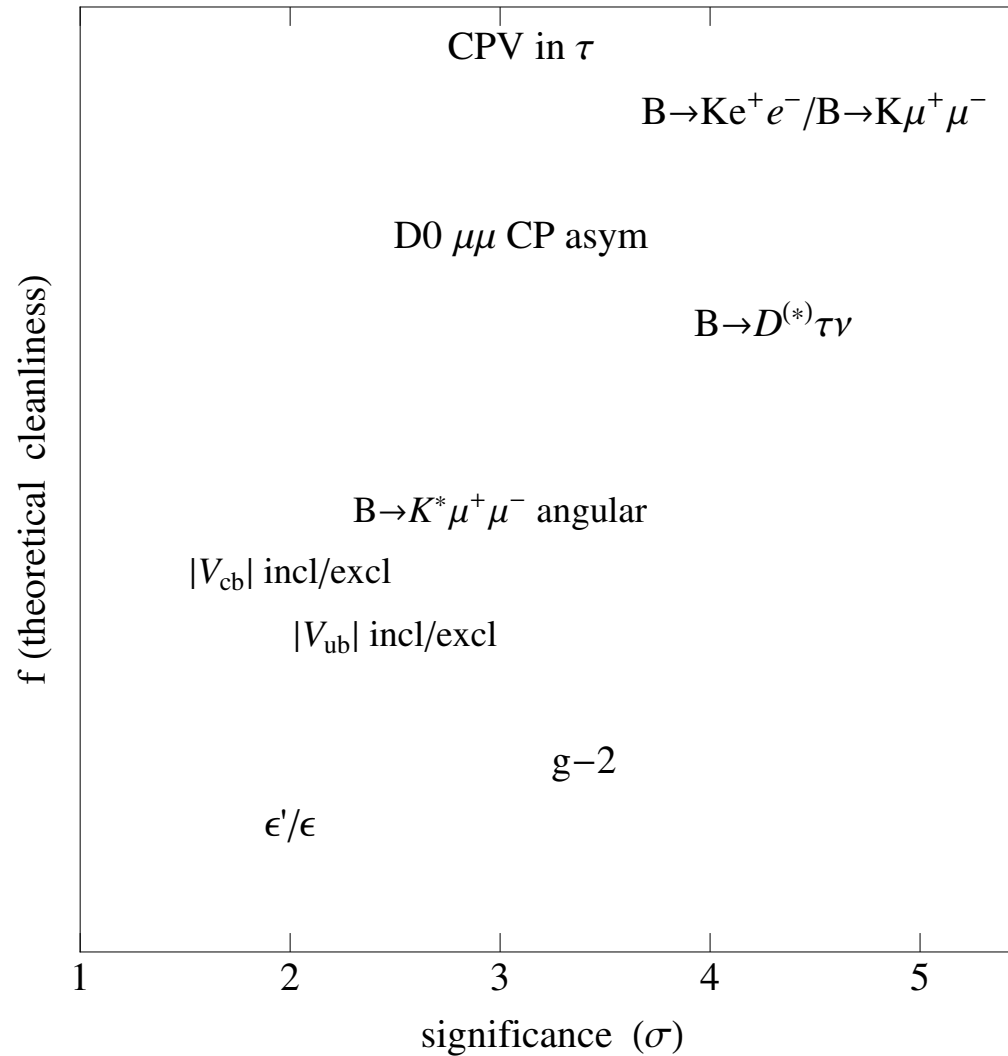
We have hints for BSM, but we need to wait for more data

# Are we seeing the tail?

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# The Zoltan plot



# Is one (or more) of them real?

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I will talk on four of them (See also M. Blanke, 1708.06326)

- $R(D^{(*)}) : b \rightarrow c\tau\nu$
  - $R(K^{(*)})$  and  $P'_5 : b \rightarrow s\ell^+\ell^-$  spectrum and angular
  - CPV in  $\tau \rightarrow K_S\pi\nu$
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For each, we will ask

- Can it be a miscalculation of the SM prediction?
- Can it be due to NP?
- Can it be a statistical fluctuation and/or an unknown systematic effect?

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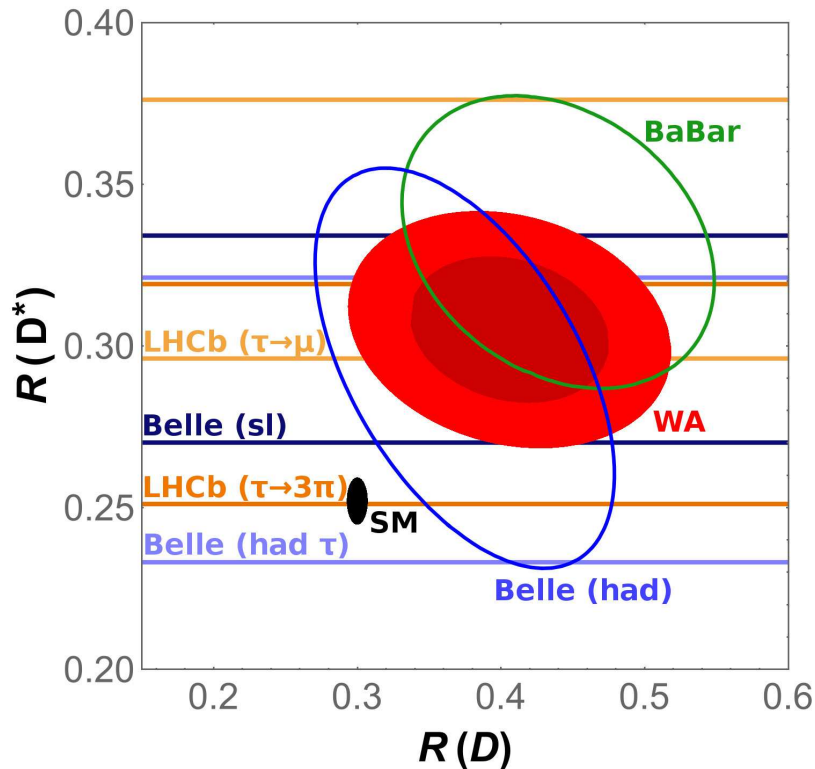
$$R(D^{(*)})$$

# $R(D^{(*)})$ : The data

$$R(D) \equiv \frac{\Gamma(B \rightarrow D\tau\nu)}{\Gamma(B \rightarrow D\ell\nu)}$$

$$R(D^*) \equiv \frac{\Gamma(B \rightarrow D^*\tau\nu)}{\Gamma(B \rightarrow D^*\ell\nu)}$$

M. Jung



- $\ell = e, \mu$
- $R \neq 1$  due to PS
- Babar, Belle, LHCb
- $B^0, \bar{B}^0, B^+, B^-$
- $\sim 4\sigma$  from the SM
- Also  $\Gamma(B_c \rightarrow J/\psi\tau\nu)$

# $R(D)$ : what can we say?

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$$R(D) \equiv \frac{\Gamma(B \rightarrow D\tau\nu)}{\Gamma(B \rightarrow D\ell\nu)} \quad R(D^*) \equiv \frac{\Gamma(B \rightarrow D^*\tau\nu)}{\Gamma(B \rightarrow D^*\ell\nu)}$$

- Data  $\sim 4\sigma$  away from the SM
- The predictions are very clean because a lot is canceled in the ratios
  - It is just the mass of the lepton that is different
  - From factors at somewhat different kinematics
  - The effect of one form factor scales like the lepton mass



# Can it be the SM?

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- A tree level decay in the SM
- The SM rate is off by about 30%
- The effect of the “heavy” form factor is known up to

$$\frac{m_\tau \Lambda_{\text{QCD}}}{m_B^2} \sim 3\%$$

- More can be found in Bernlochner, Ligeti, Papucci, Robinson, 1703.05330

It is hard to think that the effect is purely due to unknown SM effects

# What kind of NP is it?

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- Without interference, we need 50% effect in the amplitude
- With interference, it can be 15%
- Must be tree level
  - A charged Higgs
  - A  $W'$
  - A scalar or vector leptoquark
- There are tensions in each of these models
- None of these models are “nice” (whatever nice means)
- There is a model building challenge that has not been met yet

# How to check for NP?

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Some ideas of other observables

- Measure the inclusive  $b \rightarrow c\tau\nu$  and  $\Lambda_b \rightarrow \Lambda_c\tau\nu$  as they probe a different combination of operators
- Depend on the operator, the NP can change the spectrum
- Because the  $\nu$  is a doublet, we must also have a  $b\bar{b}\tau^+\tau^-$  or  $c\bar{c}\tau^+\tau^-$  operator
  - $\tau\tau$  production at high energy
  - $\Upsilon$  and  $\psi$  leptonic decay
- Can lead to CP violation in  $B \rightarrow D^{**}\tau\nu$  decays

# $R(D)$ Bottom line

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My best guess

- The SM predictions are robust at the 5% level.
  - Cannot explain the effect
- NP models are not “nice”
  - Just does not feel right
- The experiments did a very good job
  - Hard to see an unknown systematics

Bottom line: I have no idea. We need more checks

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# $R_K$ and friends

$$b \rightarrow sl^+l^-$$

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Mainly LHCb

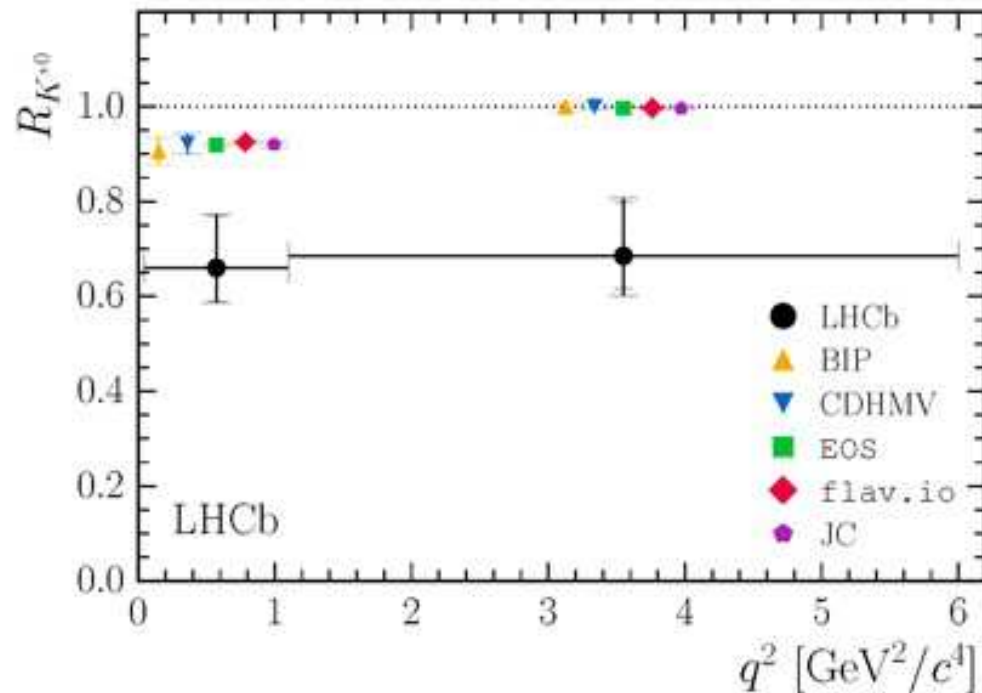
- Angular distribution in  $B \rightarrow K^* \mu^+ \mu^-$ 
  - with  $K^* \rightarrow K \pi$  it is a four body decay
- The ratio

$$R(K^*)[q^2] \equiv \frac{\Gamma(B \rightarrow K^* \mu^+ \mu^-)}{\Gamma(B \rightarrow K^* e^+ e^-)}$$

- The ratio

$$R(K)[q^2] \equiv \frac{\Gamma(B \rightarrow K \mu^+ \mu^-)}{\Gamma(B \rightarrow K e^+ e^-)}$$

# $b \rightarrow sl^+l^-$ : Data



- 2 bins in  $R(K^*)$  with  $\sim 2.5 \sigma$
- 1 in  $R(K)$  with  $\sim 2.5 \sigma$
- Angular distribution with  $\sim 3.7 \sigma$

# Can it be SM?

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- The  $\mu/e$  spectrum:
  - A very large effect at small  $q^2$
  - For large  $q^2$ , radiative corrections are at the 1% level
- For the angular distribution: “charming penguins”?
  - Some people say it is possible, some not

Yet, when you put it all together it clearly cannot be due to miscalculations in the SM

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Q: Can it be NP?

A: Yes, but none of the models is “nice”

“A model building challenge that has not been met yet”



# $R(K)$ Bottom line

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My best guess

- The SM predictions are robust at the 1% level for the LFV, much less for the angular distribution
  - The SM cannot explain all the effect
- NP models are not “nice”
  - Just does not feel right
- The experimental situation got a lot of attention.
  - Unlikely an experimental issue

Bottom line: Again, we need more tests

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# CPV in $\tau$

# BaBar CPV in $\tau \rightarrow K_S \pi \nu$

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$$A \equiv \frac{\Gamma(\tau^+ \rightarrow K_S \pi^+ \bar{\nu}) - \Gamma(\tau^- \rightarrow K_S \pi^- \nu)}{\Gamma(\tau^+ \rightarrow K_S \pi^+ \bar{\nu}) + \Gamma(\tau^- \rightarrow K_S \pi^- \nu)}$$

- In the SM we expect CPV of order  $\epsilon_K$
- No theoretical uncertainty! The theoretical error is from the experimental measurement of  $\epsilon_K$
- BaBar in 2011 found a 3 sigma effect

$$A_{\text{exp}} = -0.36 \pm 0.23 \pm 0.11$$

$$A_{\text{the}} = +0.36 \pm 0.01$$

# Can it be SM?

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$$A_{\text{exp}} = -0.36 \pm 0.23 \pm 0.11$$

$$A_{\text{the}} = +0.36 \pm 0.01$$

- How can we explain it?
- Could it be an odd number of sign mistakes?

The SM prediction is very solid

# Can it be NP?

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How many papers have been written about it?

zero

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- It cannot be due to NP
- It cannot be a wrong SM calculation
- It is a statistical and/or a systematic effect

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# Conclusions

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I hope it is the tail, but I am skeptical

