

Constraints from triple gauge couplings on vectorlike leptons

arXiv:1706.03073

Pedro A. N. Machado

Fermilab

in collaboration with E. Bertuzzo, Y. Perez-Gonzalez, R. Zukanovich Funchal



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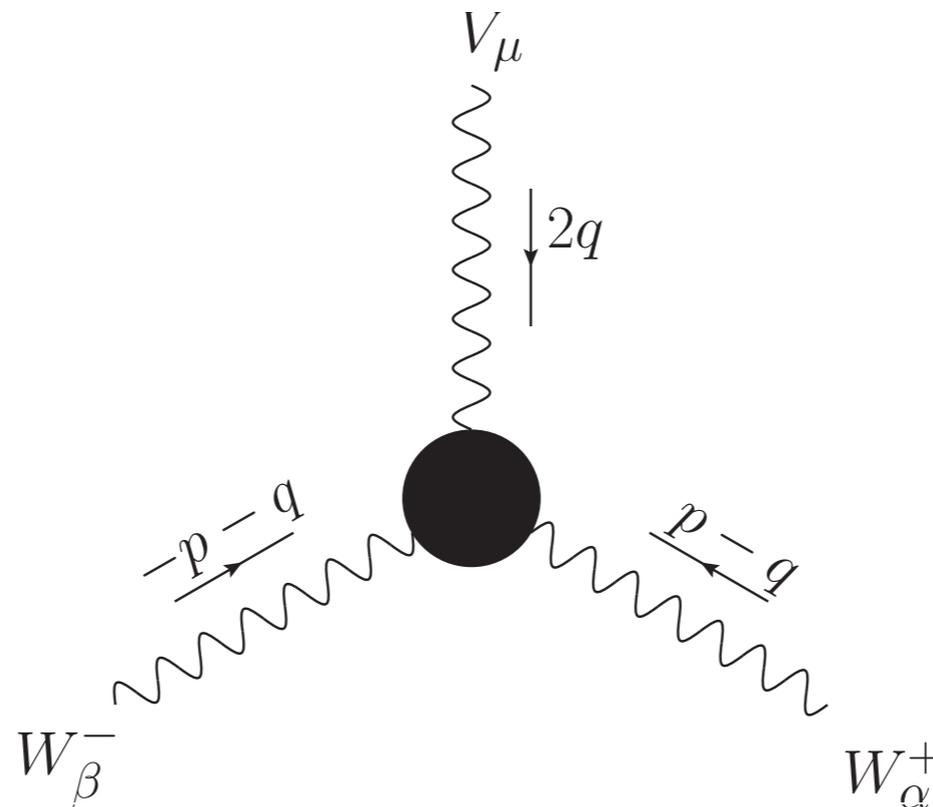


Triple gauge couplings

Triple vector boson interactions are a direct manifestation of the gauge principle

Deep connection to the SM gauge groups and its particle content

SM has sharp and clean predictions for the TGCs



Triple gauge couplings

$$\mathcal{L}_{WWW} = -ig_V [(W_{\mu\nu}^\dagger W^\mu V^\nu - W_{\mu\nu} W^{\mu\dagger} V^\nu) + \kappa_V W_\mu^\dagger W_\nu V^{\mu\nu} + \frac{\lambda_V}{M_W^2} W_{\mu\tau}^\dagger W_\nu^\tau V^{\nu\mu}]$$

$$g_V = \begin{cases} e & \text{for } V = \gamma, \\ e \cot \theta_W & \text{for } V = Z^0 \end{cases}$$

Hagiwara Peccei Zeppenfeld Hikasa 1987

Experimental collaborations work with $\delta\kappa_V = \kappa_V - 1$

TGCs: part of electroweak precision tests - competitive?

- 1) Case study: vector-like leptons @ FCC-ee, ILC, CLIC
- 2) Comparison with T parameter (ρ) and Higgs- $\gamma\gamma$ coupling

Typical sensitivities to TGCs range from about $1 \sim 4 \times 10^{-4}$

Vectorlike fermions as simplified models

Vectorlike fermions are present in many extensions of the SM

UV complete extensions are typically complex
(SUSY, composite Higgs, twin Higgs, ...)

Simplified model approach

Complementary to EFT approach

Case 1: Unmixed colorless VL fermion

$$SU(2)_L \times U(1)_Y$$
$$\Psi \sim (\mathbf{2j} + \mathbf{1}, Y)$$

$j=0$: singlet
 $j=1/2$: doublet
 $j=1$: triplet
...

$$\Psi = \{\psi_{j,m}\} = \begin{pmatrix} \psi_{j,j} \\ \psi_{j,j-1} \\ \vdots \\ \psi_{j,-j+1} \\ \psi_{j,-j} \end{pmatrix}$$

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$$\mathcal{L} = i\bar{\Psi}\gamma^\mu(\partial_\mu - igW_\mu^a T^a - ig'Y B_\mu)\Psi - m_\Psi\bar{\Psi}\Psi$$

SU(2) generators in $2j+1$ dimensional rep

Contribution only depend on hypercharge and SU(2) rep

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SU(2) generators in 2j+1 dimensional rep

Contribution only depend on hypercharge and SU(2) rep

$$\delta\kappa_V^\Psi \propto F_j I(m_\Psi) \quad F_j \equiv N_F Y \frac{2}{3} j(j+1)(2j+1)$$

W⁺ W⁻ W³ cancel out!
W⁺ W⁻ B is non-zero

Case 1: Unmixed colorless VL fermion

$$SU(2)_L \times U(1)_Y$$

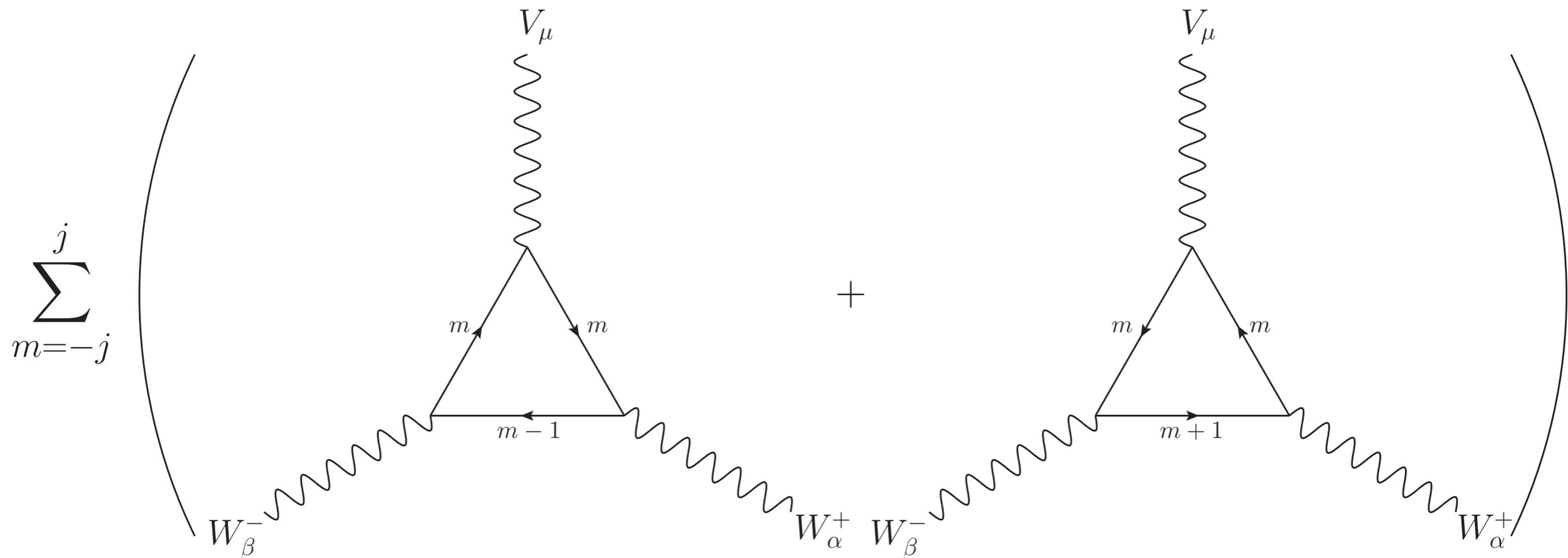
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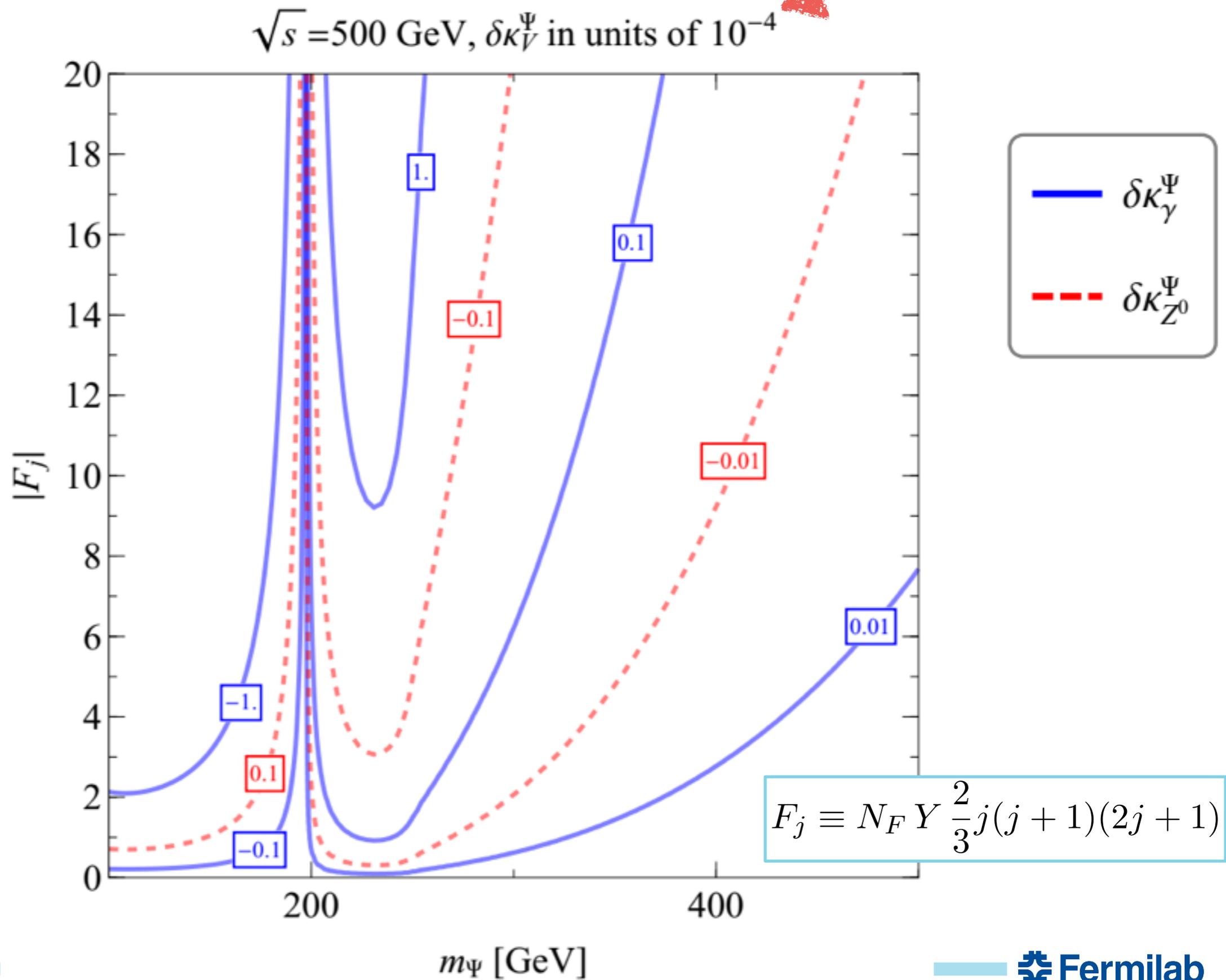
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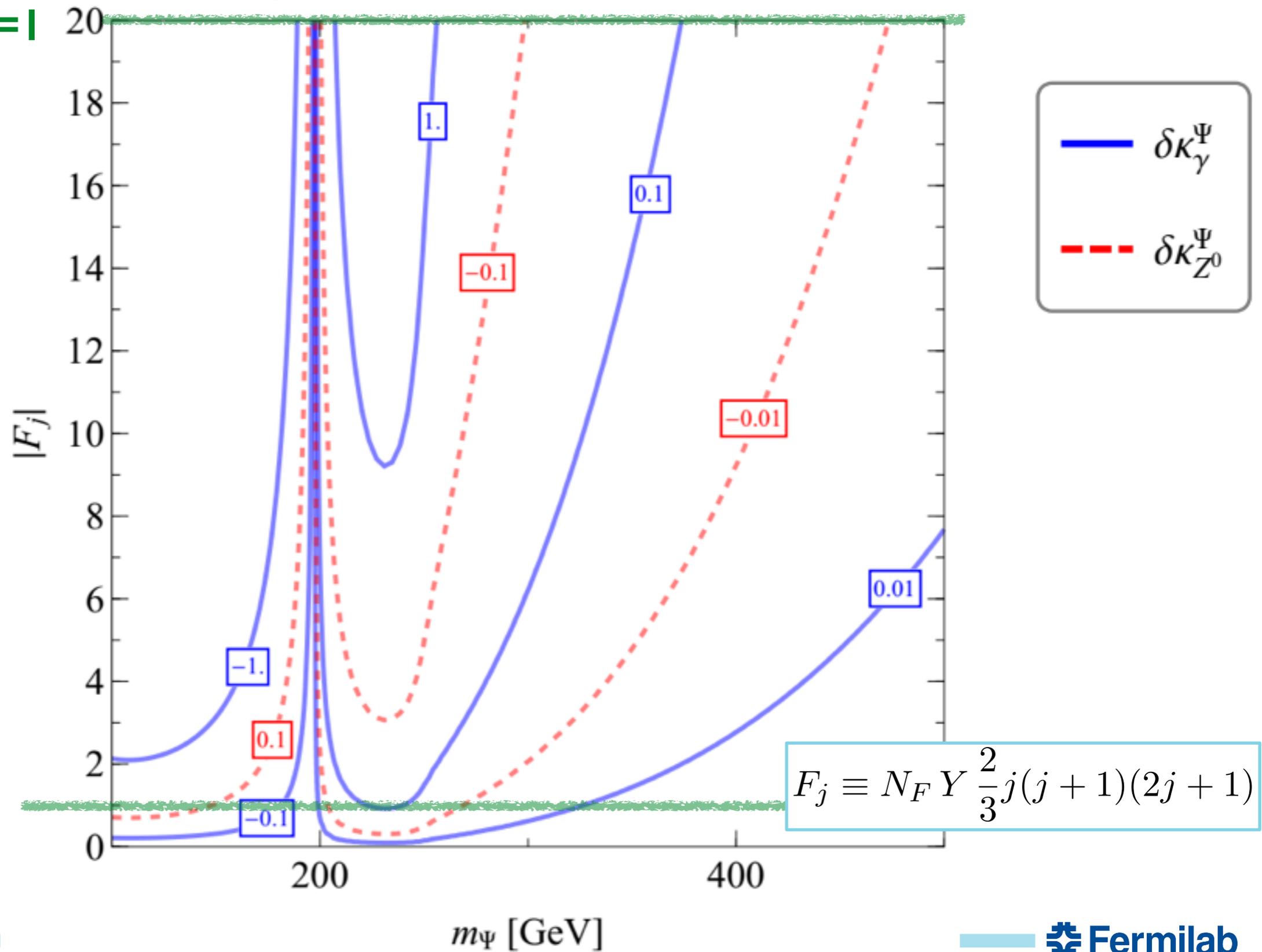


Case 1: Unmixed colorless VL fermion

$\sqrt{s} = 500 \text{ GeV}$, $\delta\kappa_V^\Psi$ in units of 10^{-4}

5-plet, $Y=1$

doublet, $Y=1$

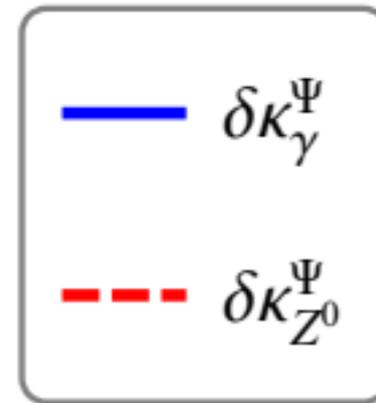
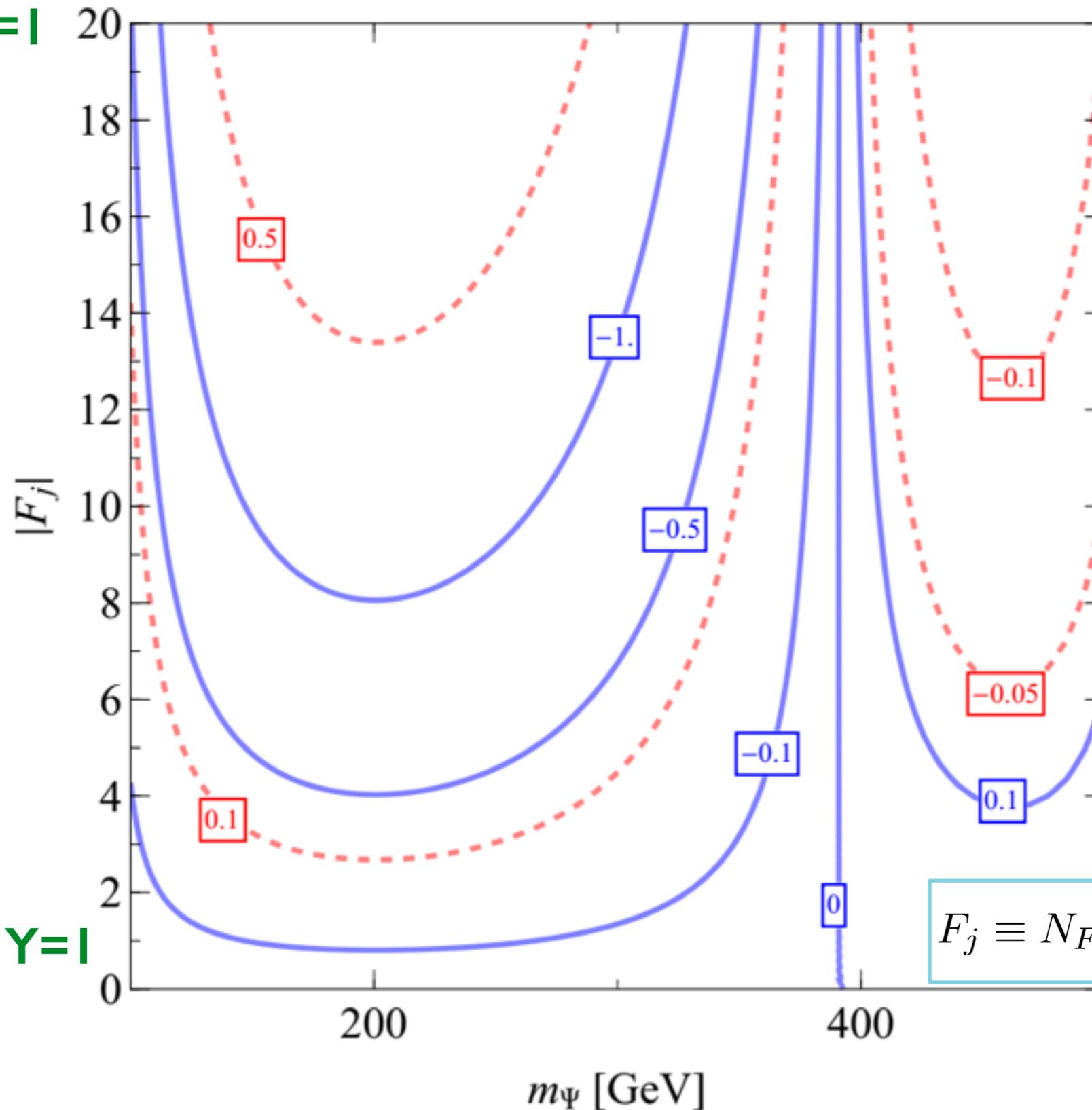


Case 1: Unmixed colorless VL fermion

$\sqrt{s} = 1$ TeV, $\delta\kappa_V^\Psi$ in units of 10^{-4}



5-plet, $Y=1$

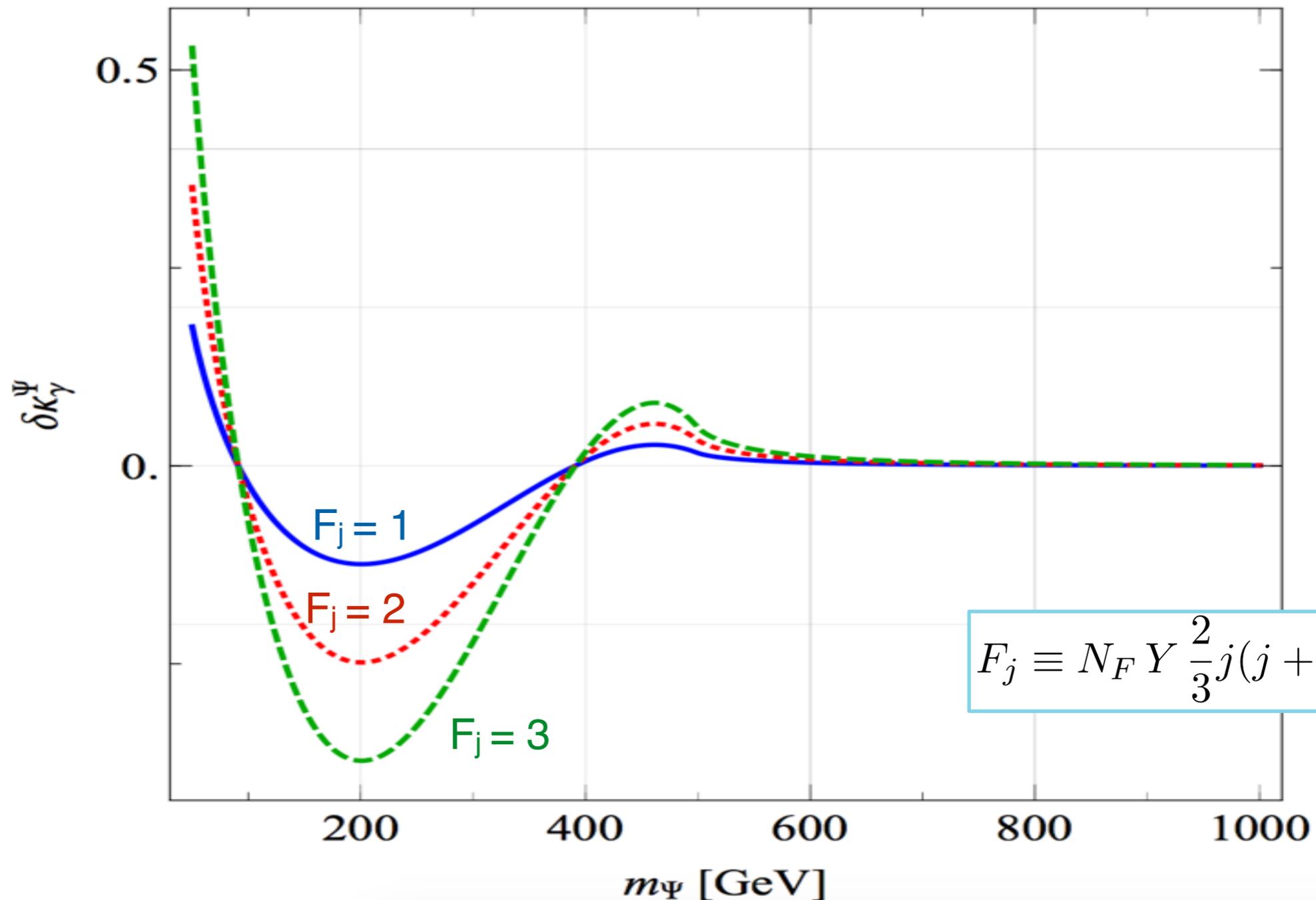


doublet, $Y=1$

$$F_j \equiv N_F Y \frac{2}{3} j(j+1)(2j+1)$$

Case 1: Unmixed colorless VL fermion

$\sqrt{s} = 1$ TeV, $\delta\kappa_V^\Psi$ in units of 10^{-4}



Canonical effective field theory not valid for this example
Possible cancellations
Sign of contribution depends on the mass

Case 2: Mixed colorless VL fermion

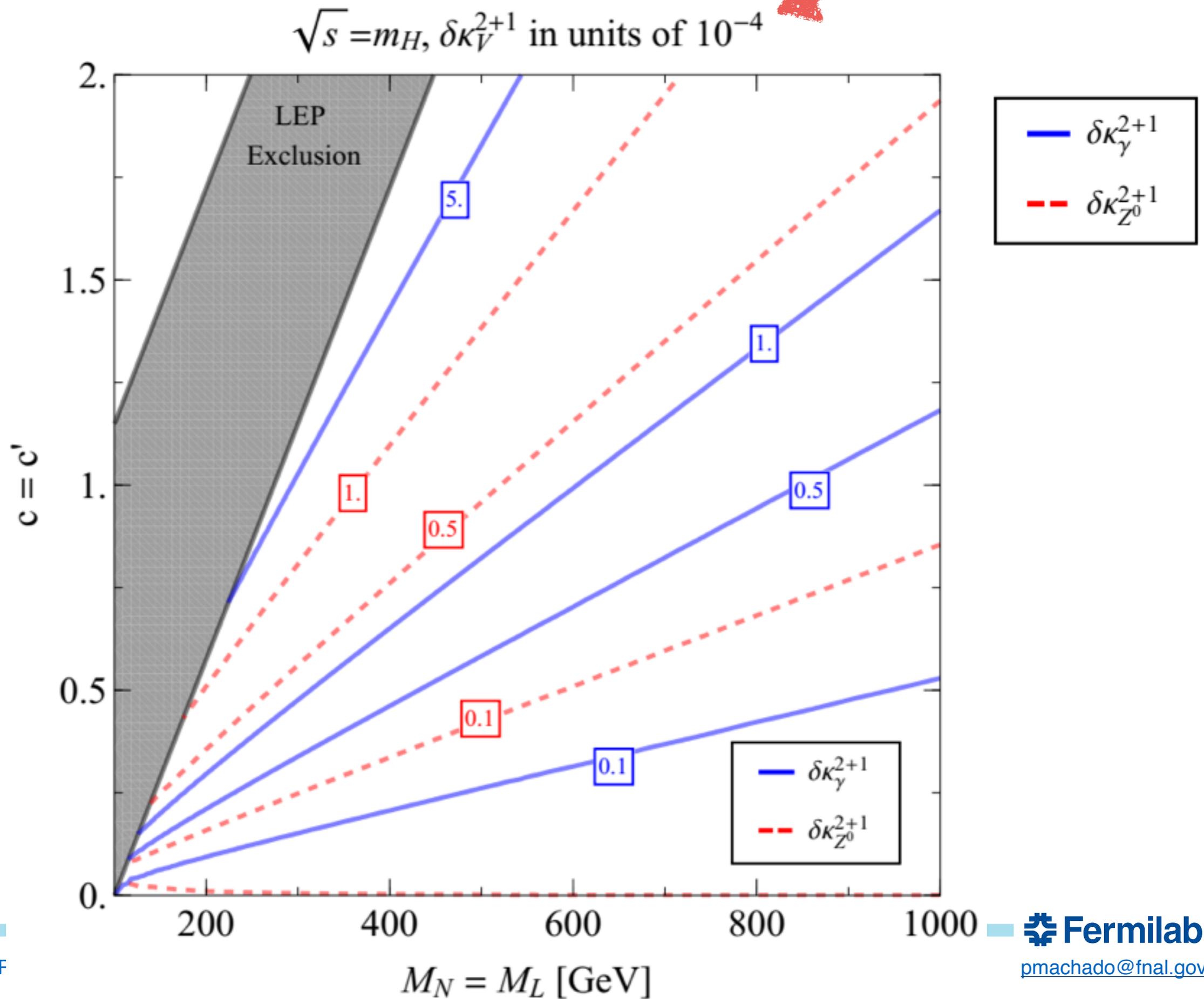
$$\mathcal{L}_{2+1} = i\bar{L}\not{D}L + i\bar{N}\not{D}N - \underbrace{M_N\bar{N}_R N_L - M_L\bar{L}_R L_L}_{\text{vectorlike masses}} - \underbrace{c\bar{N}_R H L_L - c'\bar{N}_L H L_R}_{\text{mixing}} + h.c.$$

$$L = (N_0, E)^T \text{ with hypercharge } Y - \frac{1}{2} \text{ and } N \text{ with hypercharge } Y$$

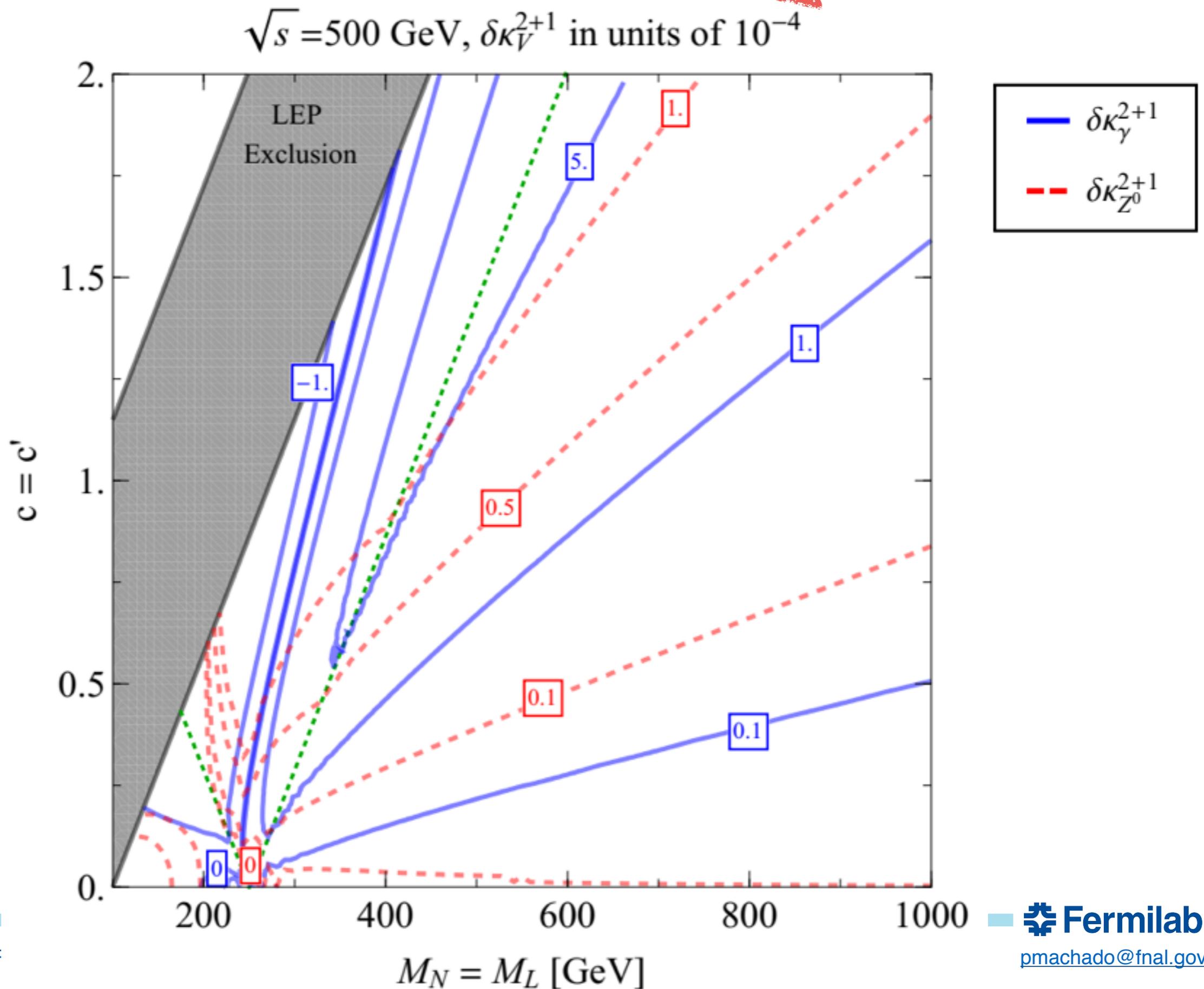
Larger hypercharge leads to larger electric charge and stronger couplings to the Z: larger deviations on TGCs

Case study: doublet-singlet with $Y = 1$
(like heavy VL lepton and neutrino)
take $c = c'$ and $M_L = M_N$ for simplicity

Case 2: Mixed colorless VL fermion: doublet-singlet

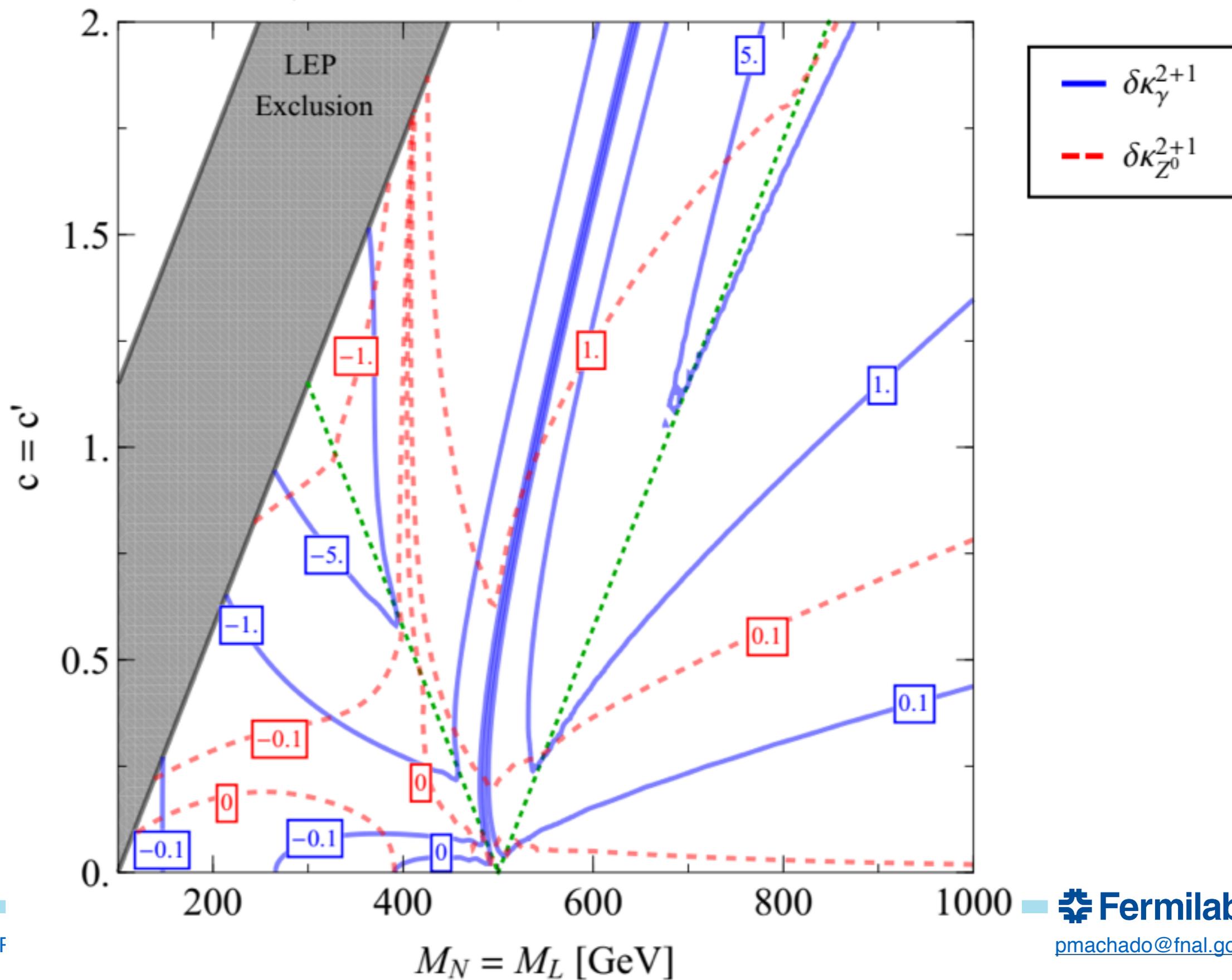


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$\sqrt{s} = 1$ TeV, $\delta\kappa_V^{2+1}$ in units of 10^{-4}

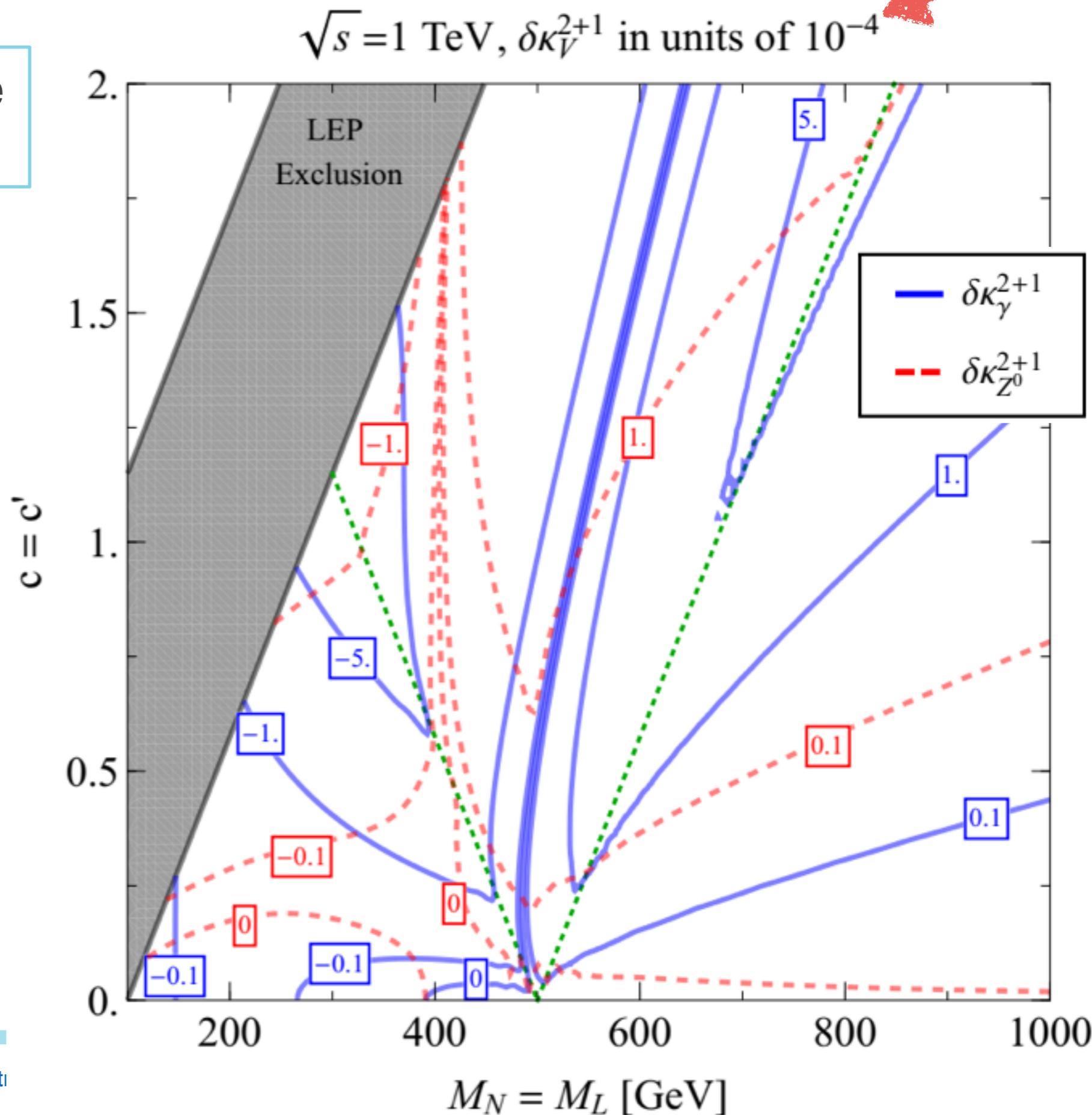


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Non-trivial dependence
on VLL masses and s

$$m_\chi = M$$

$$m_{\omega_1, \omega_2} = |M \pm 2cv|$$



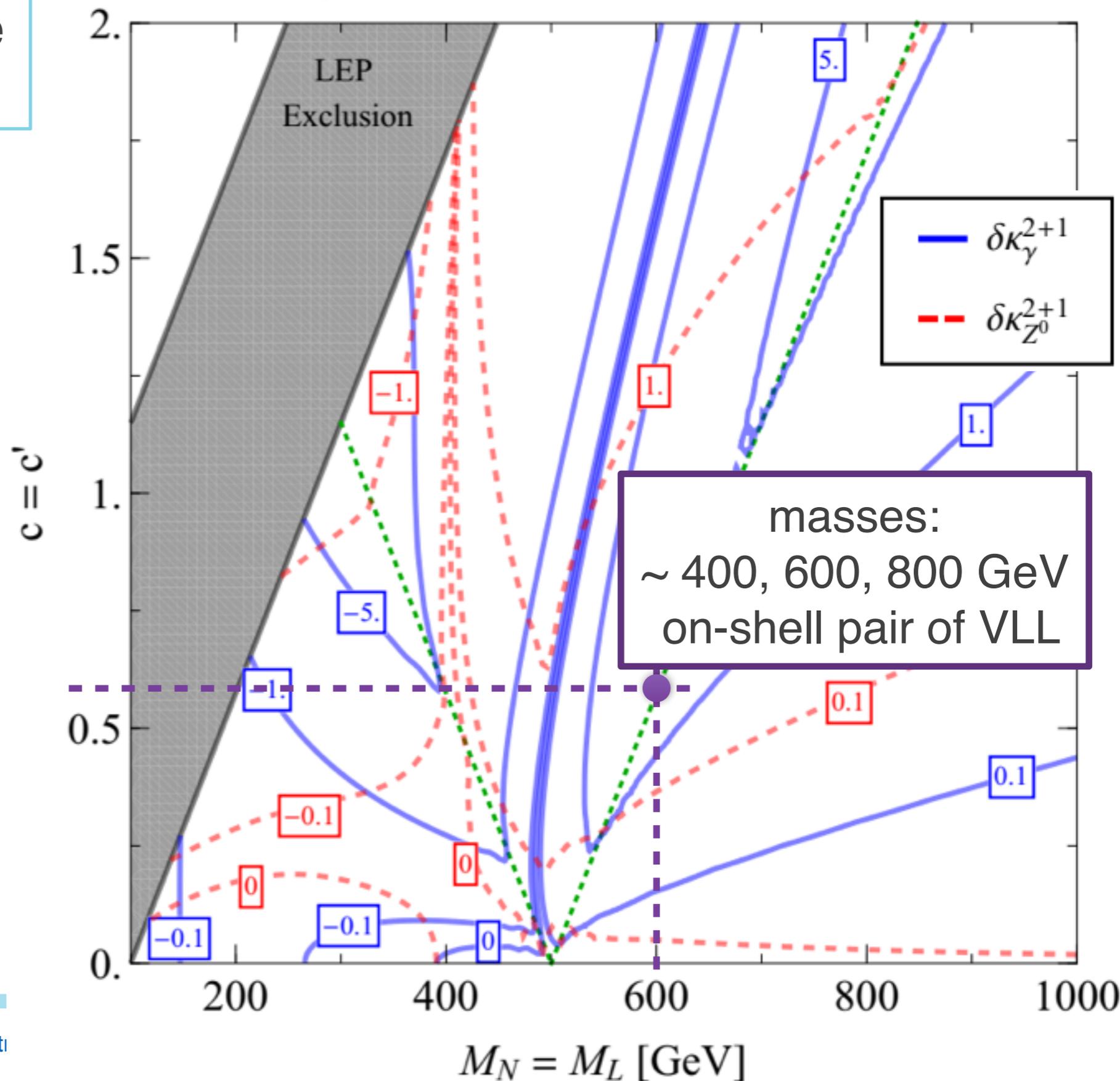
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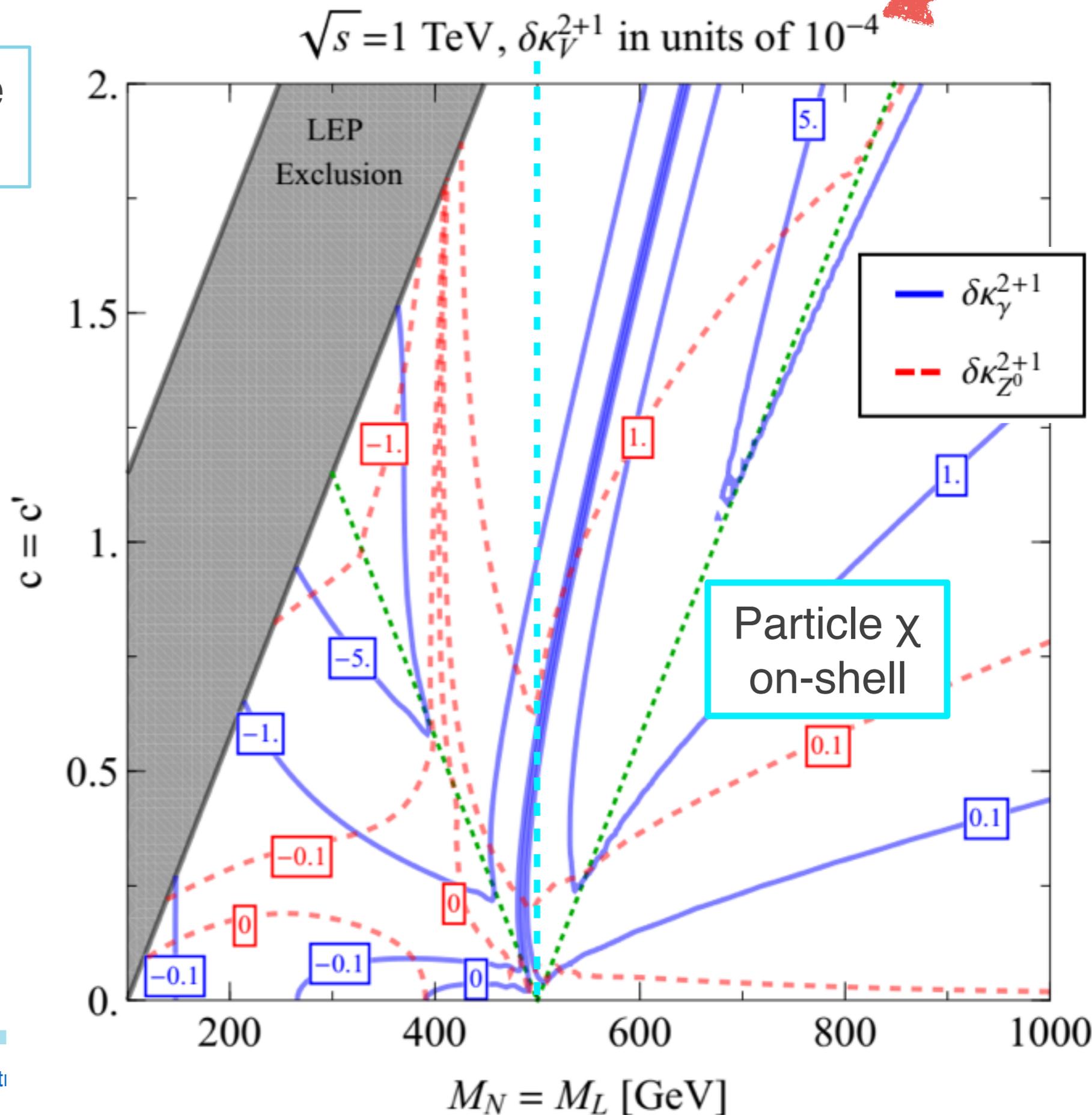


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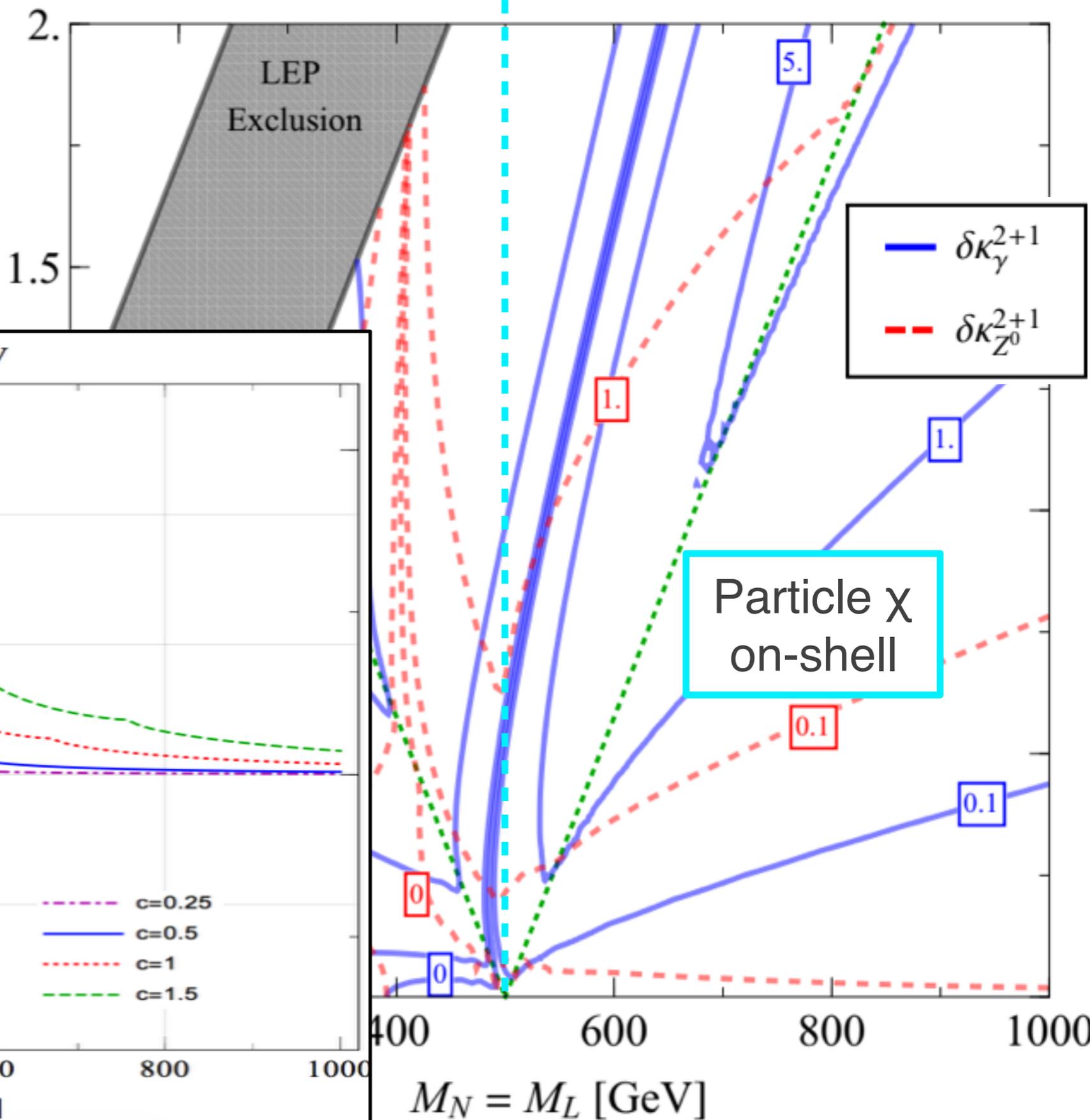
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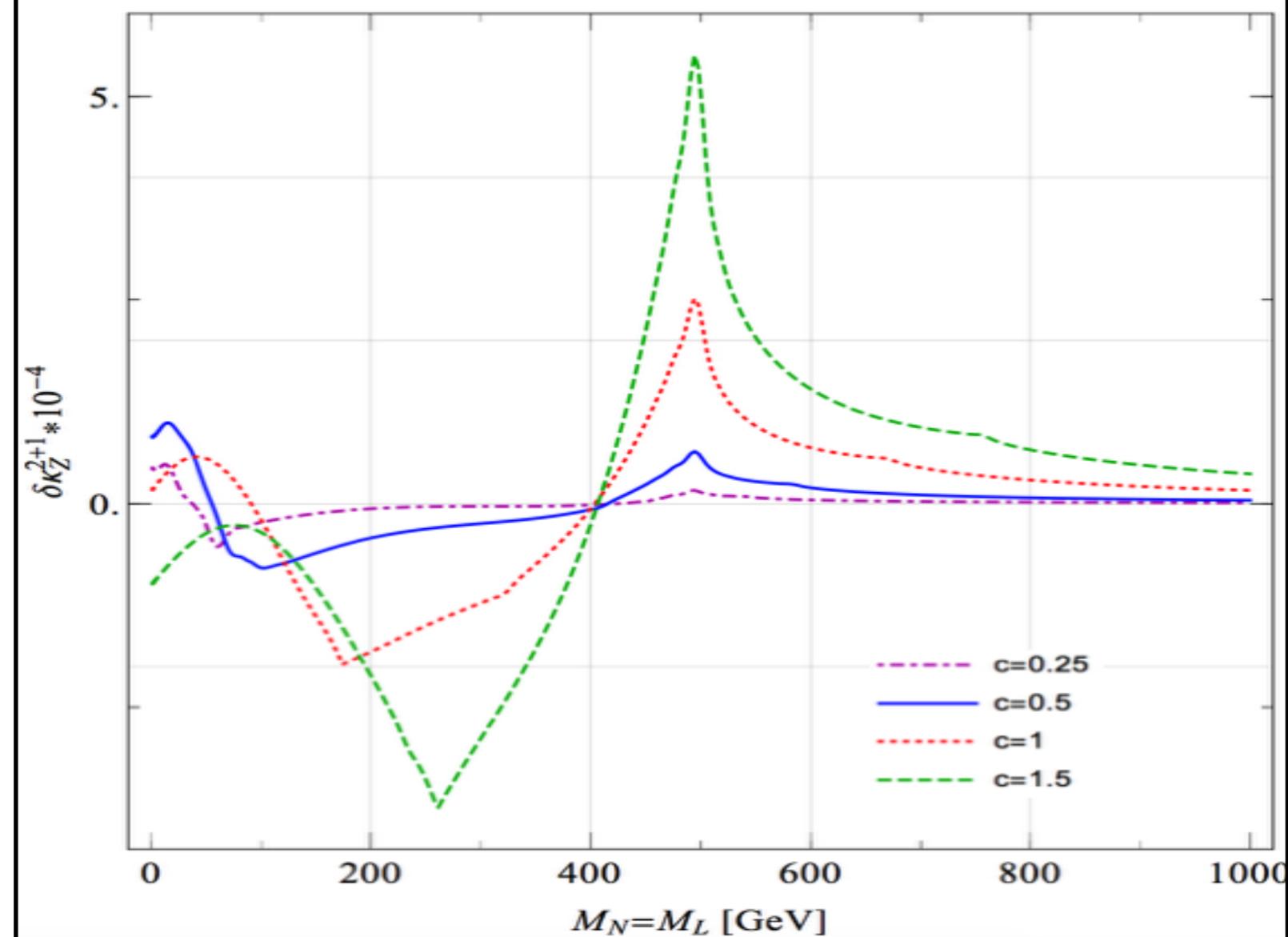
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$\sqrt{s} = 1 \text{ TeV}$, $\delta\kappa_V^{2+1}$ in units of 10^{-4}



$\sqrt{s} = 1000 \text{ GeV}$



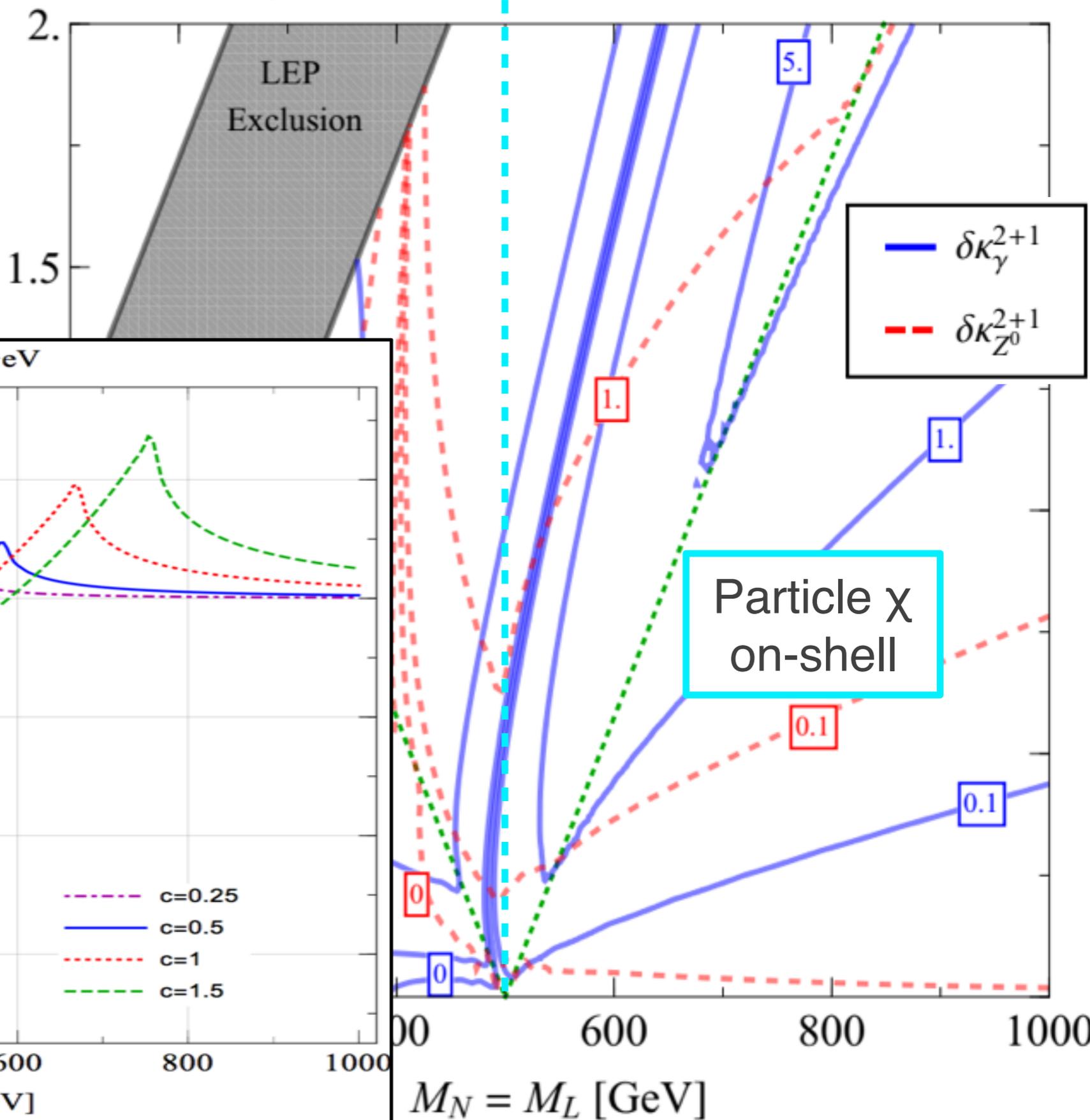
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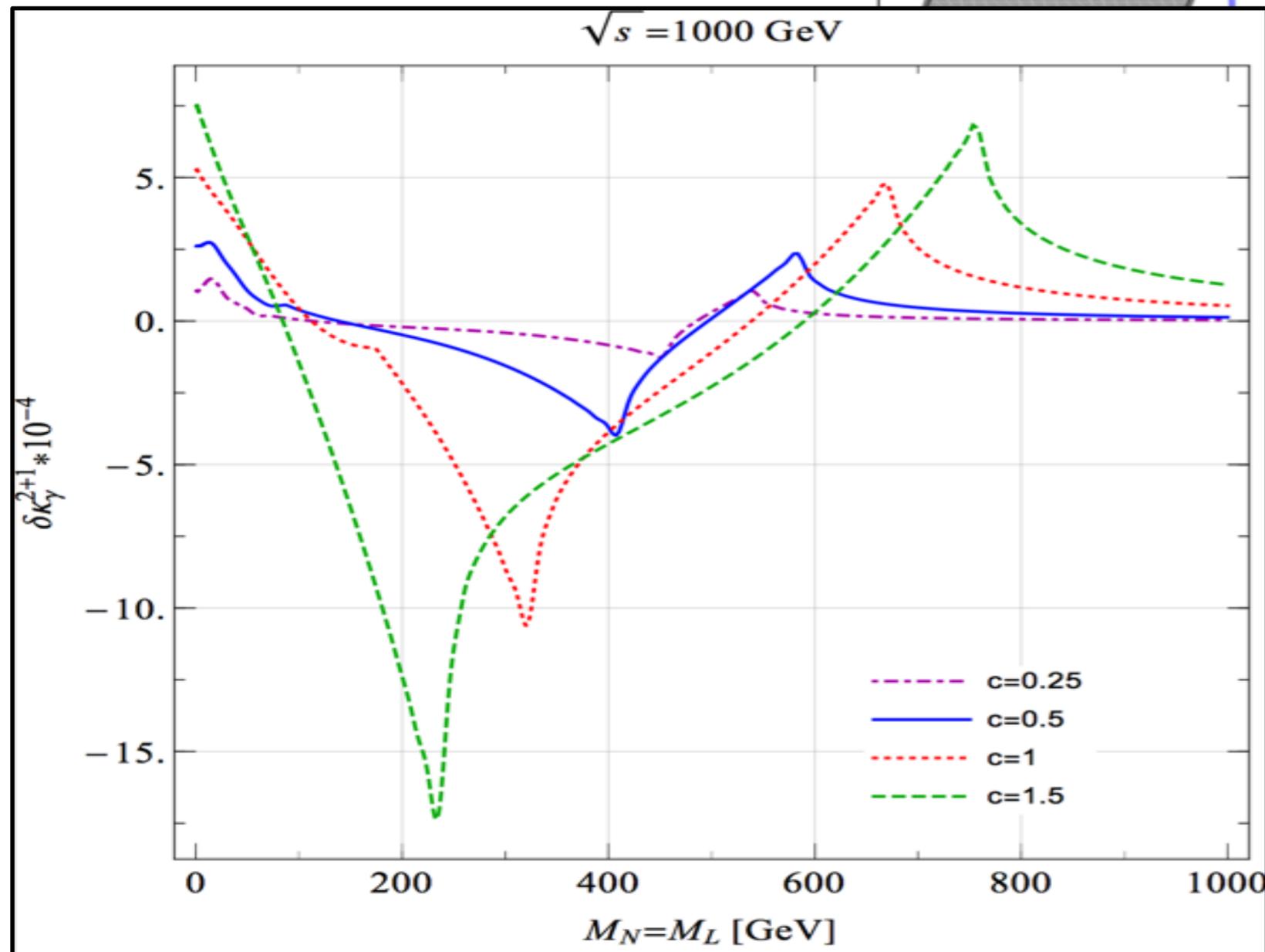
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$\sqrt{s} = 1$ TeV, $\delta\kappa_V^{2+1}$ in units of 10^{-4}



$\sqrt{s} = 1000$ GeV



Experimental sensitivity

<i>FCC-ee</i>	<i>$M_Z = 91 \text{ GeV}$</i> <i>$M_H = 125 \text{ GeV}$</i> <i>$2M_Z = 182 \text{ GeV}$</i> <i>$2M_{top} = 350 \text{ GeV}$</i>
<i>ILC</i>	<i>500 GeV</i> <i>800 GeV</i> <i>1000 GeV</i>
<i>CLIC</i>	<i>500 GeV</i> <i>1400 GeV</i> <i>3000 GeV</i>

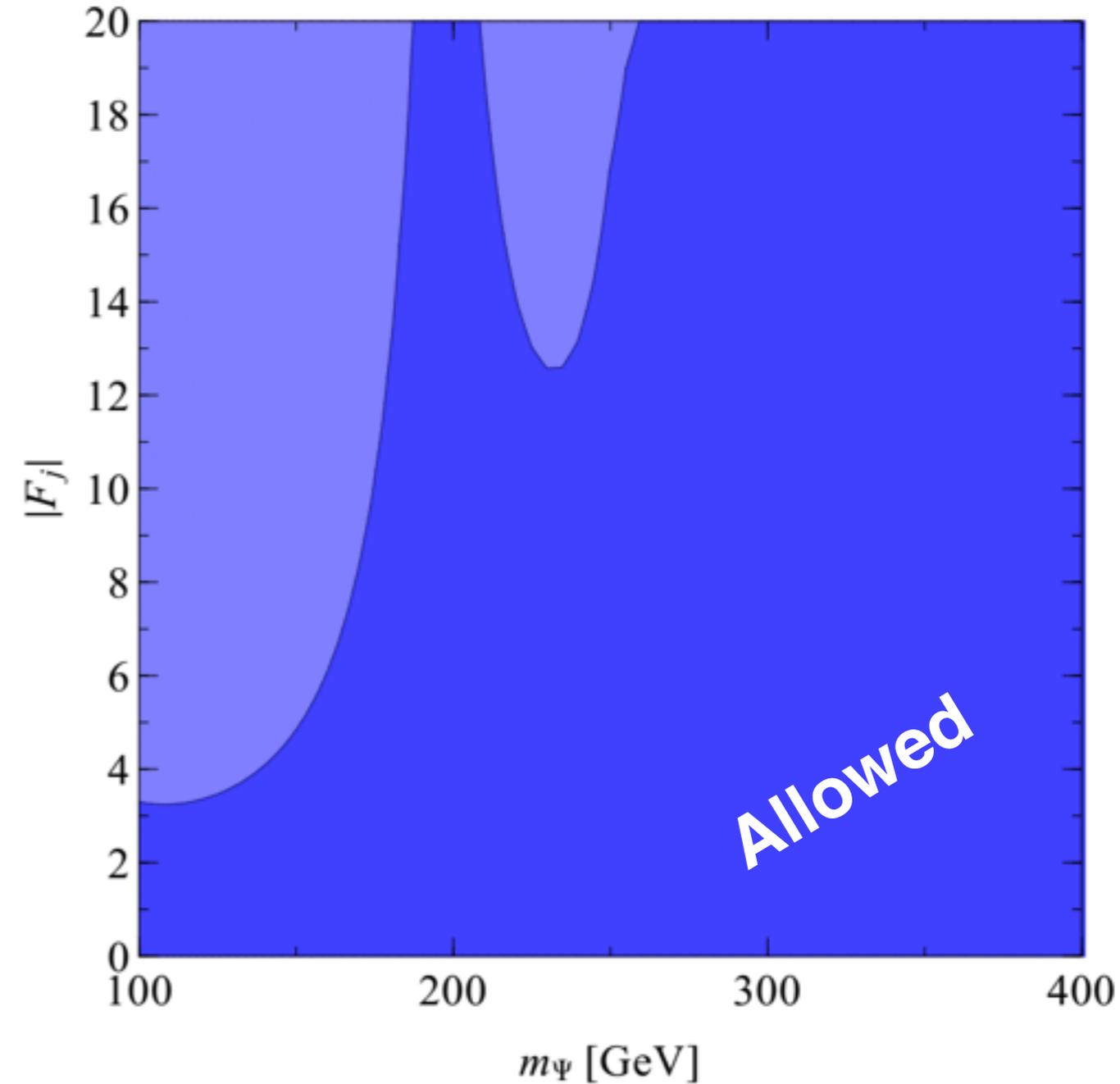
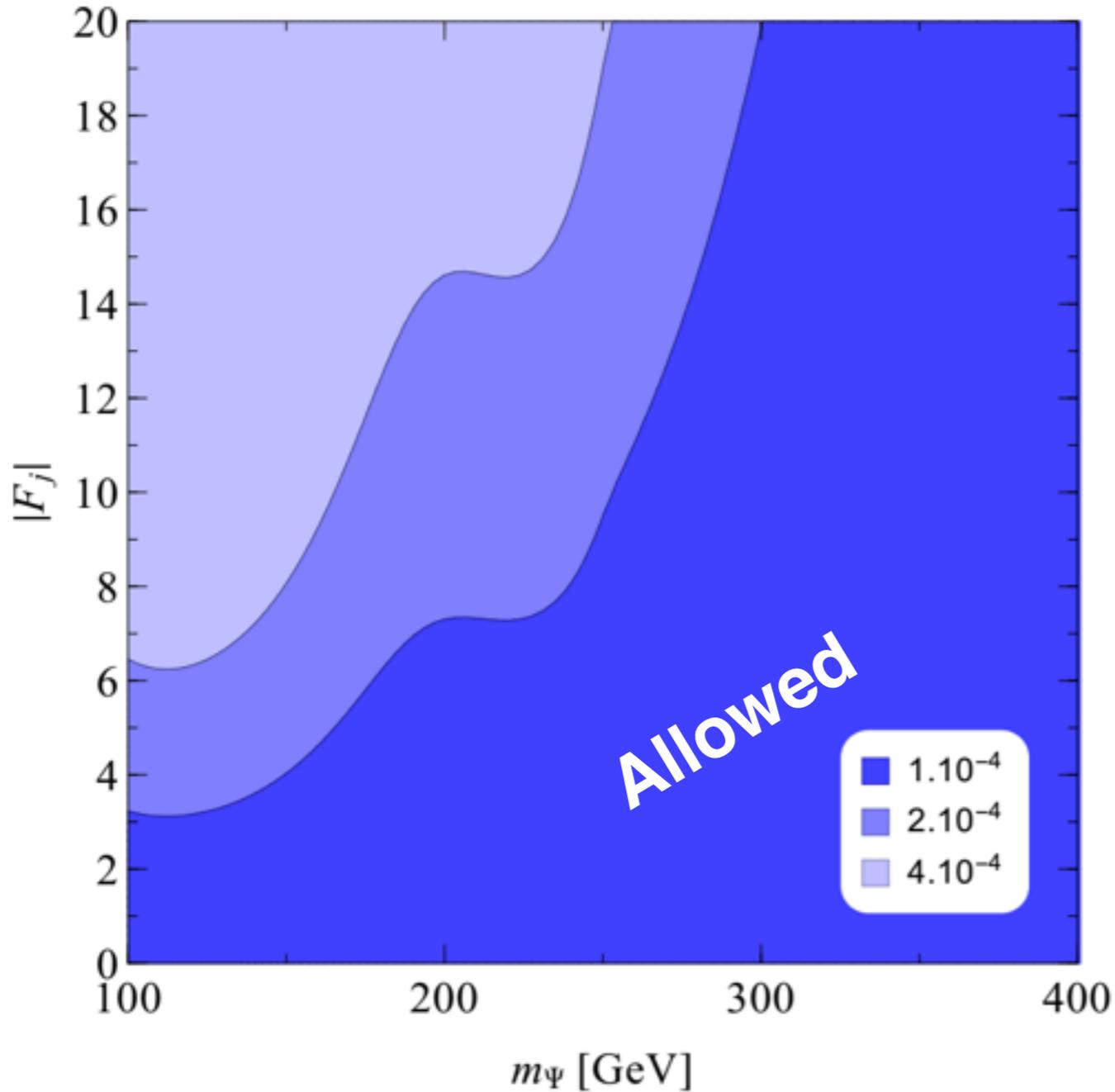
Benchmark: 1, 2, 4 x 10⁻⁴ determination of $\delta\kappa_Z$ and $\delta\kappa_\gamma$,
at each center of mass configuration independently

Experimental sensitivity

Unmixed colorless vectorlike fermion scenario

ILC

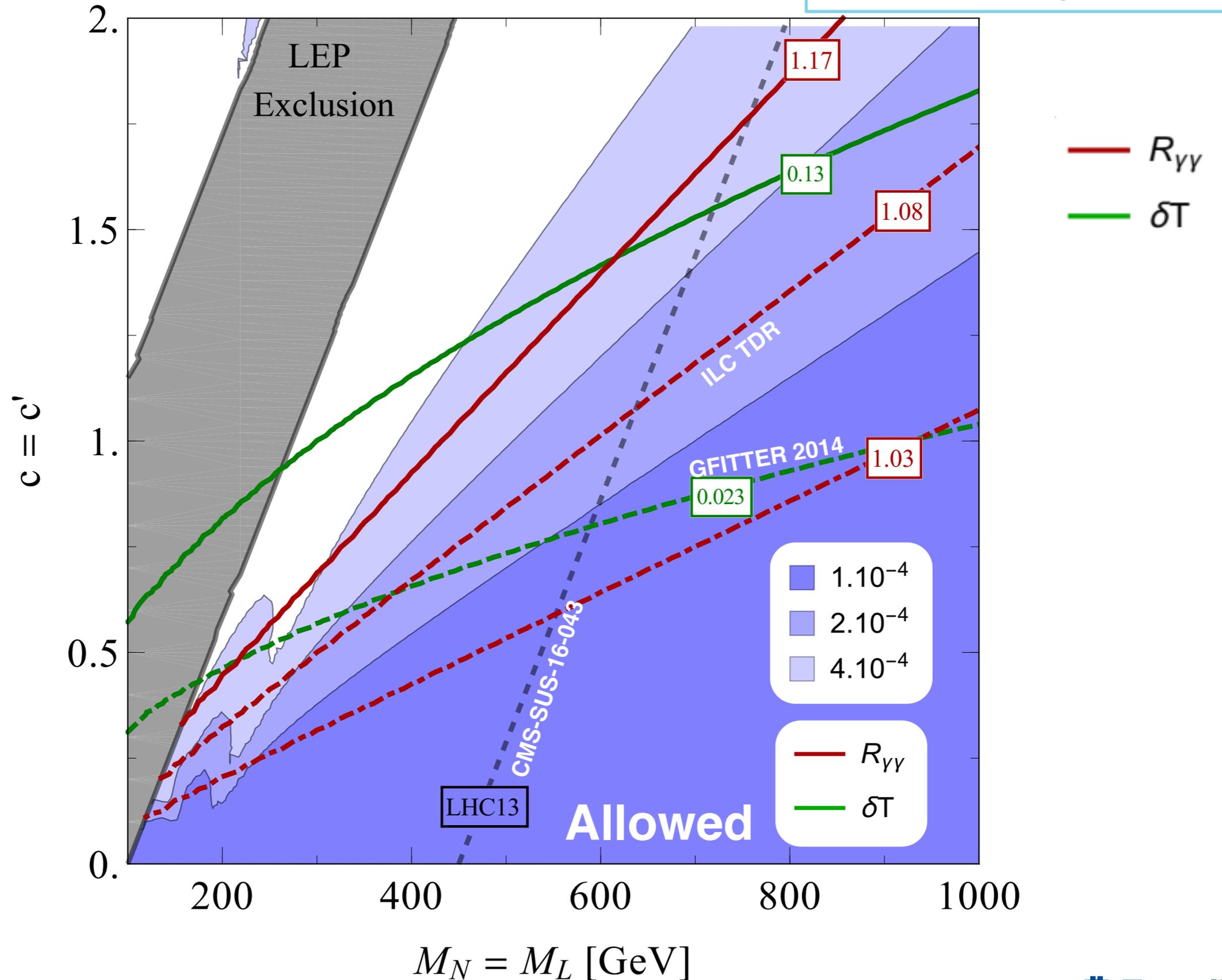
CLIC



Experimental sensitivity

FCC-ee

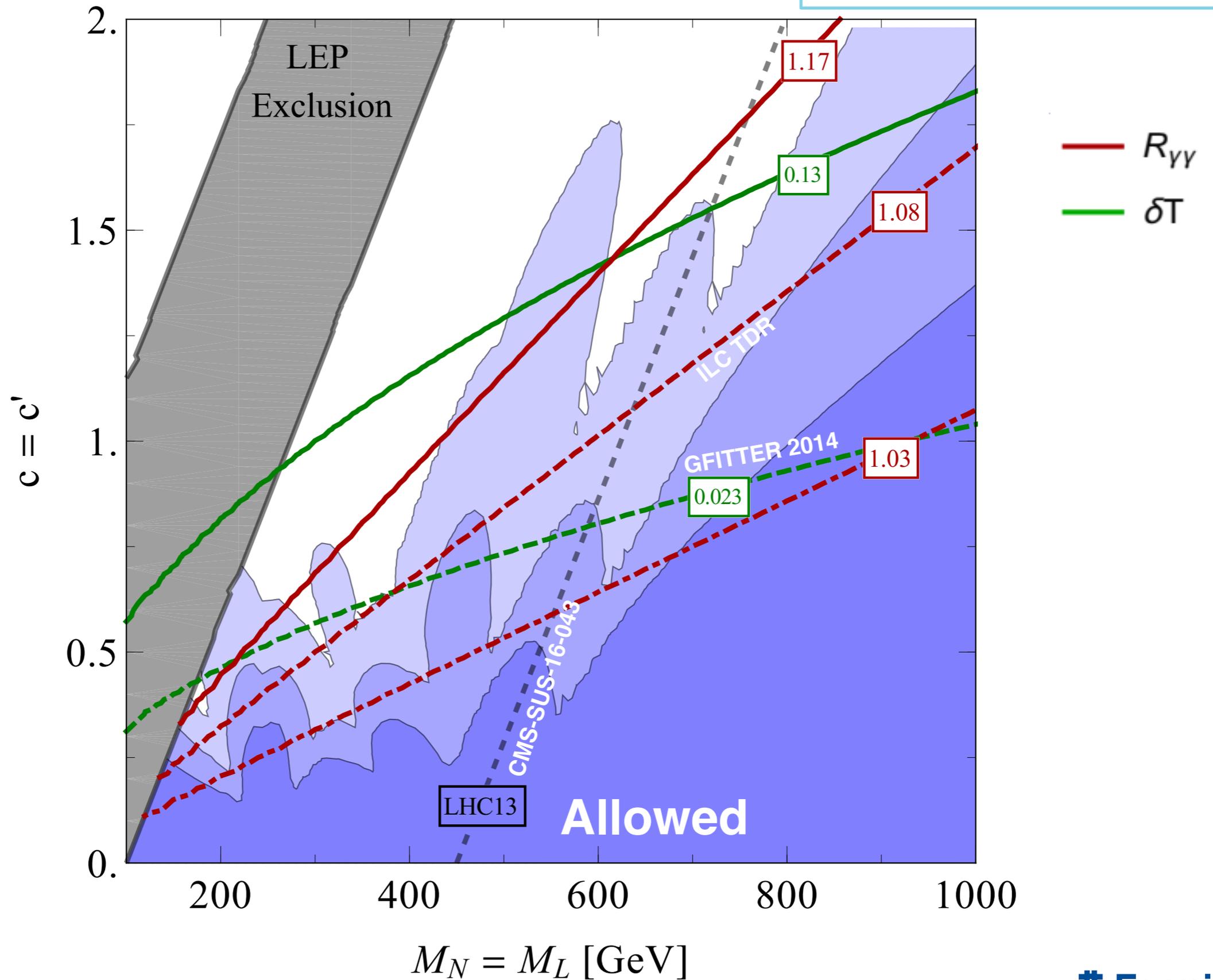
doublet-singlet $Y=1$



Experimental sensitivity

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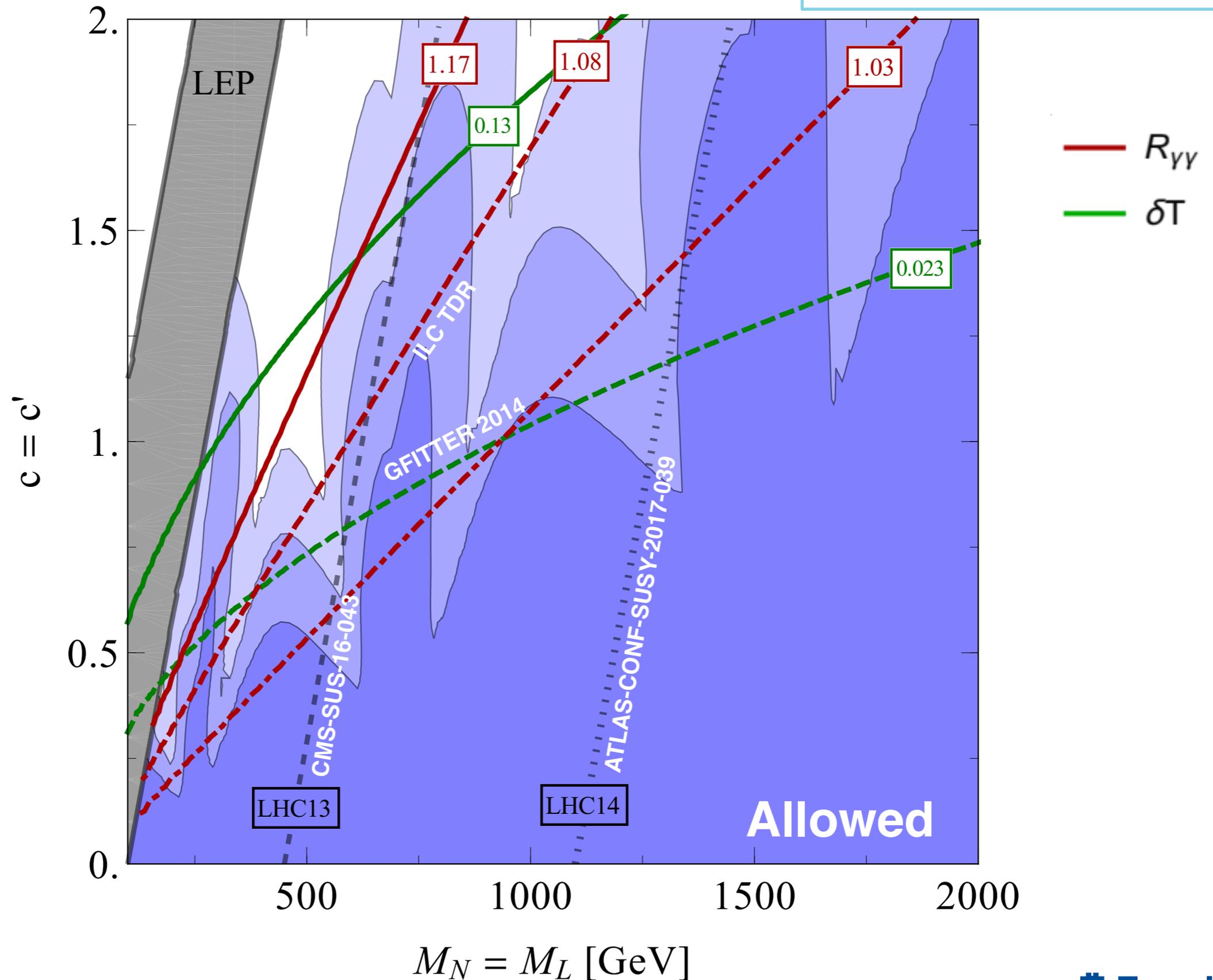
doublet-singlet $Y=1$



Experimental sensitivity

CLIC

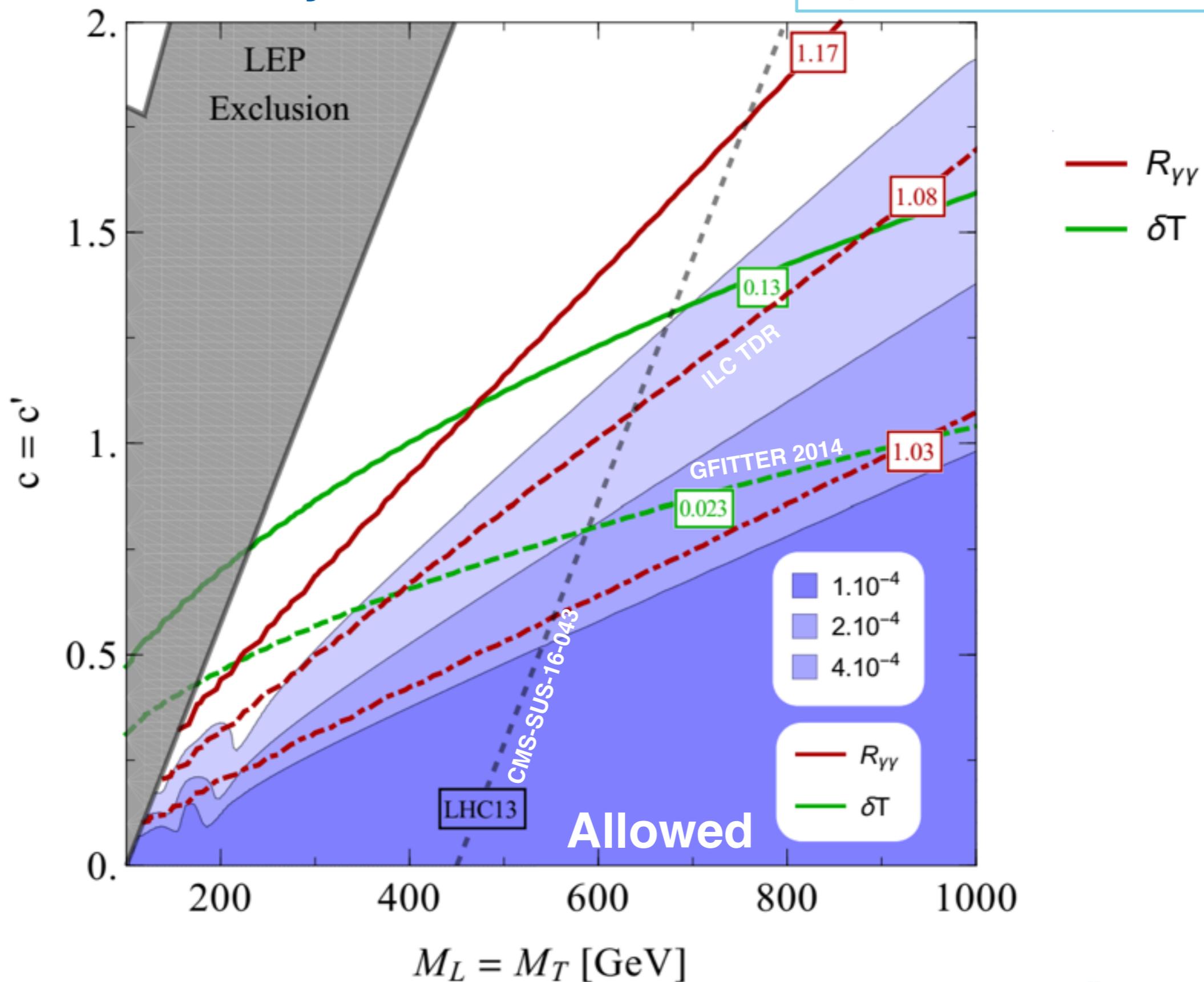
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Experimental sensitivity

FCC-ee

triplet-doublet $Y=1/2$



Take home message

Triple gauge vertices will be an important precision parameter in future e^+e^- colliders

TGC sensitivity to new physics is complementary to other observables like $H\gamma\gamma$ and T parameter