



REGGIO CALABRIA, AUGUST 27, 2018

NEW PHYSICS FROM TOTEM (THE ODDERON: MYTHS AND REALITY)

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E. Martynov, B. Nicolescu, **Evidence for maximality of strong interactions from LHC forward data**, [arXiv:1804.10139](#);

Evgenij Martynov, Basarab Nicolescu,
Did TOTEM experiment discover the Odderon?
Phys. Lett. B 778, 414, 2018, [arXiv:1711.03288](#);

M. Broilo, E.G.S. Luna, M.J. Menon, **Forward Elastic Scattering and Pomeron Models**,
[arXiv:1807.10337](#).

M. Broilo, E.G.S. Luna, M.J. Menon, **Soft Pomerons and the Forward LHC**,
[arXiv:1803.07167](#),
To be publ. in Phys. Lett. B;

M. Broilo, E.G.S. Luna, M.J. Menon
Leading Pomeron Contributions and the TOTEM Data at 13 TeV, [arXiv:1803.06560](#).

- *Related papers:*
- O. Selugin: **The energy dependence of the diffraction minimum in the elastic scattering and new LHC data**, Nucl. Phys. A959 (2017) 116; arXiv:1609.08847.
- V.A. Khoze, A.D. Martin, M.G. Ryskin, **Elastic proton-proton scattering at 13 TeV**, Phys. Rev. D 97, 034019 (2018), [arXiv:1712.00325](#);
- T. Csorgo, R. Pasechnik, A. Ster, **Odderon and substructures of protons from a model-independent Levy imaging of elastic proton-proton and proton-antiproton collisions**, [arXiv:1807.02897](#).

Based on papers:

L. Jenkovszky, I. Szanyi, C.-I Tan, Eur. Phys. J. A (2018) **54**:116,
arXiv:1710.10594.

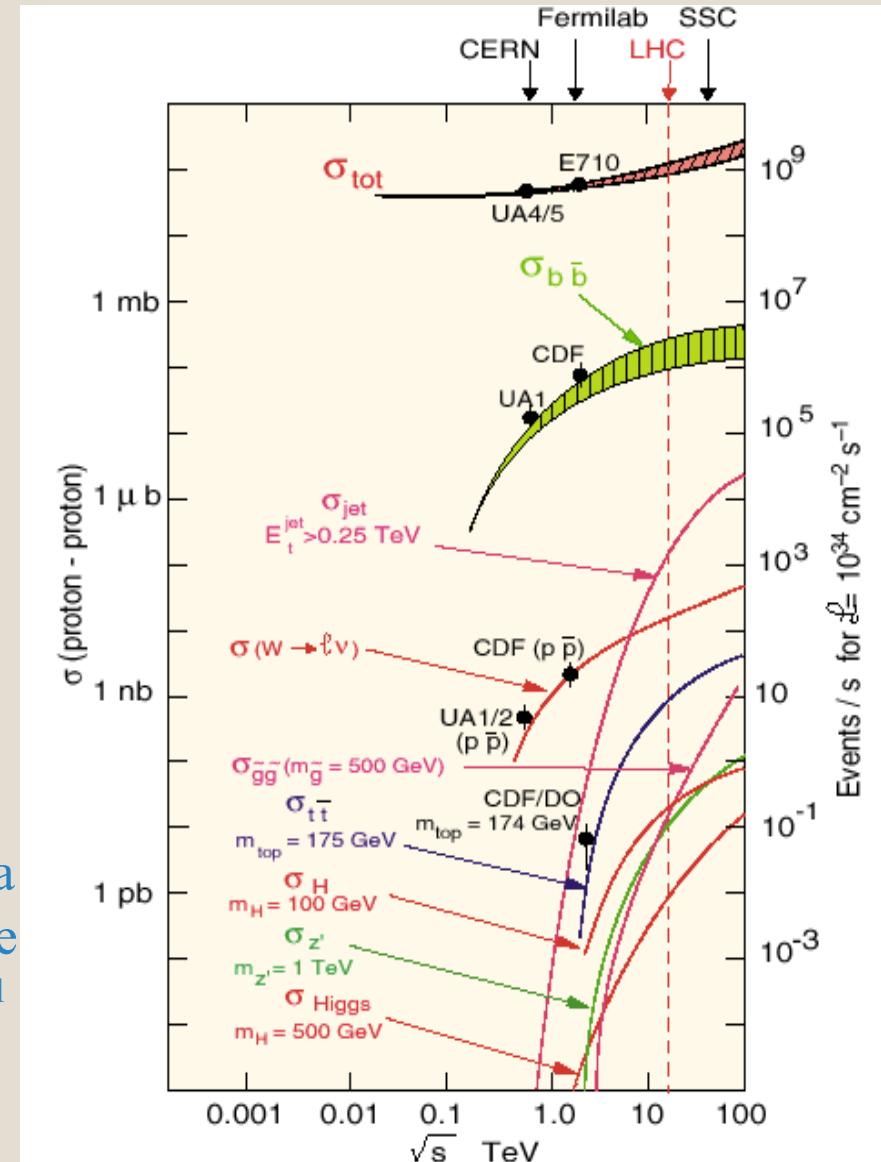
L. Jenkovszky, I. Szanyi, Phys. Part. Nuclei Lett., **14**, 687 (2017),
arXiv:1701.01269.

L. Jenkovszky, I. Szanyi, Mod. Phys. Lett. A, **32**, 1750116 (2017),
arXiv:1705.04880.

László Jenkovszky, Rainer Schicker, István Szanyi: *Elastic and diffractive scattering in the LHC era*,

International Journal of Modern Physics E
Vol. 27, No. 7 (2018) 1830005 (59 pages)

- Total cross section at LHC
 $\sigma(pp \rightarrow \text{anything}) \sim 0.1 \text{ barn}$
- So a 1 pb Higgs cross section corresponds to one being *produced* every 10^{11} interactions!
(further reduced by $\text{BR} \times \text{efficiency}$)
- Experiments have to be designed so that they can separate such a rare signal process from the background
- Rate = $L \cdot \sigma$
where luminosity L (units $\text{cm}^{-2}\text{s}^{-1}$) is a measure of how intense the beams are
LHC design luminosity = $10^{34} \text{ cm}^{-2}\text{s}^{-1}$

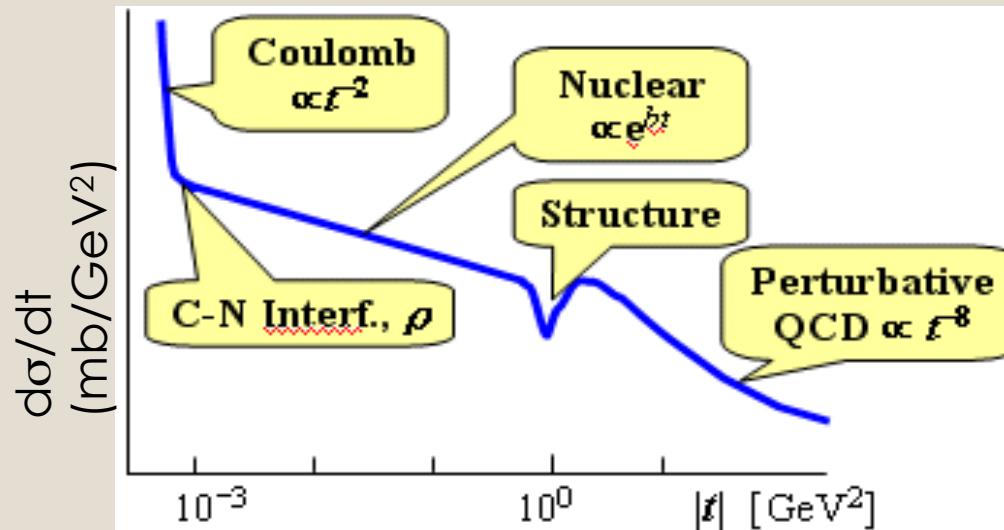


◦ **PLAN:**

- The “break” $B(t)$ and proton’s atmosphere;
- The forward slope $B(s)$;
- The real part (or phase) at all t ;
- Dip-bump (crucial!);
- Conclusions, problems.

Elastic Scattering

$\sqrt{s} = 14 \text{ TeV}$ prediction of BSW model



momentum transfer $-t \sim (p\theta)^2$
 θ = beam scattering angle
 p = beam momentum

$$\rho = \frac{\text{Re}(f_{el}(t))}{\text{Im}(f_{el}(t))}_{t \rightarrow 0}$$

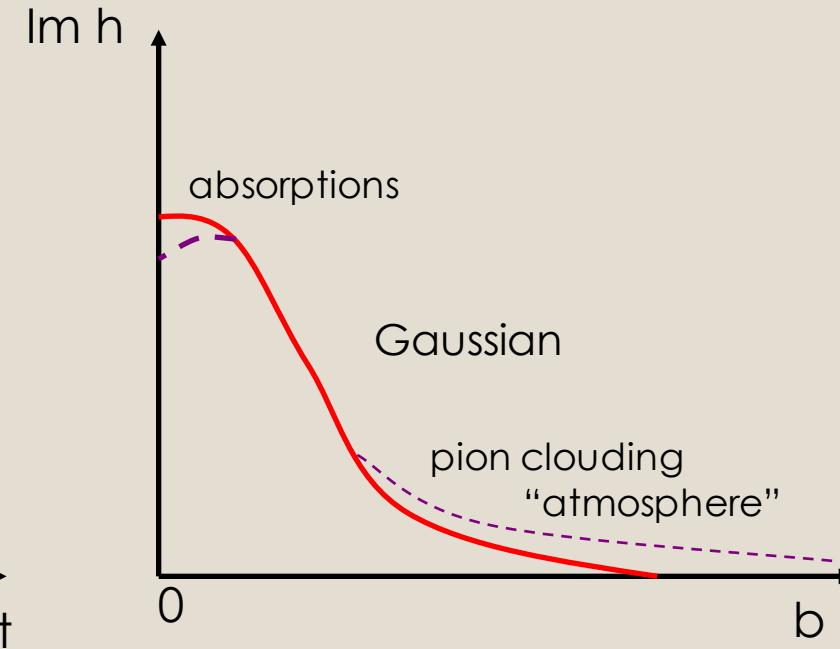
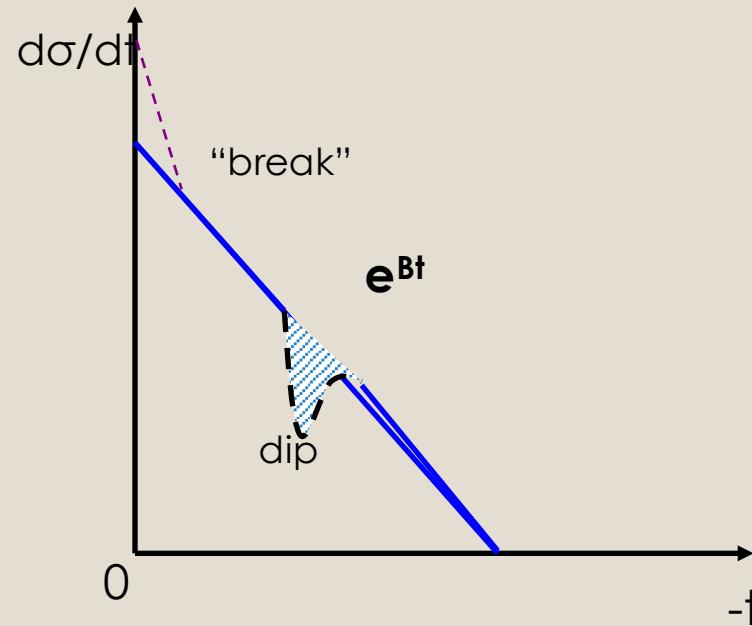
$$\left. \frac{dN}{dt} \right|_{t=CNI} = L\pi |f_C + f_N|^2 \approx L\pi \left| -\frac{2\alpha_{\text{EM}}}{|t|} + \frac{\sigma_{\text{tot}}}{4\pi} (i + \rho) e^{-\frac{b|t|}{2}} \right|^2$$

L , σ_{tot} , b , and ρ
from FIT in CNI
region (UA4)

CNI region: $|f_C| \sim |f_N| \rightarrow @ \text{LHC}: -t \sim 6.5 \cdot 10^{-4} \text{ GeV}^2; \theta_{\min} \sim 3.4 \mu\text{rad}$
 $(\theta_{\min} \sim 120 \mu\text{rad} @ \text{SPS})$

1. On-shell (hadronic) reactions ($s, t, Q^2 = m^2$);
 $t \leftrightarrow b$ transformation dictionary:

$$h(s, b) = \int_0^\infty d\sqrt{-t} \sqrt{-t} A(s, t)$$



$$\sigma_t(s) = \frac{4\pi}{s} \text{Im} A(s, t=0); \quad \frac{d\sigma}{dt} = \frac{\pi}{s^2} |A(s, t)|^2; \quad n(s);$$

$$\sigma_{el} = \int_{t_{min} \approx -s/2 \approx \infty}^{t_{thr.} \approx 0} \frac{d\sigma}{dt} dt; \quad \sigma_{in} = \sigma_t - \sigma_{el}; \quad B(s, t) = \frac{d}{dt} \ln\left(\frac{d\sigma}{dt}\right);$$

$$A_{pp}^{p\bar{p}}(s, t) = P(s, t) \pm O(s, t) + f(s, t) \pm \omega(s, t) \rightarrow_{LHC} P(s, t) \pm O(s, t),$$

where P , O , f . ω are the Pomeron, odderon and non-leading Reggeon contributions.

$\alpha(0) \setminus C$	+	-
1	P	O
$1/2$	f	ω

Ahogy most a modellünket használjuk, a kapcsolat $O = -i^*P$ (nem $O = i^*P$, mivel a pomeronban van egy "i" szorzó, addig az odderonban nincs; tehát ahhoz, hogy eltüntessük azt az "i" szorzót az odderon esetén a pomeront "-i"-vel kell megszorozni) és $\omega = i^*f$. Tehát ezek az i szorzók elméletileg egyfajta normalizációnak vehetőek.

NB: The S-matrix theory (including Regge pole) is applicable to asymptotically free states only (not to quarks and gluons)!

A simple ‘handle’ (tool): DP (reproduces itself against unitarity corrections)

The Pomeron is a dipole in the j -plane

$$A_P(s, t) = \frac{d}{d\alpha_P} \left[e^{-i\pi\alpha_P/2} G(\alpha_P) \left(s/s_0 \right)^{\alpha_P} \right] = \quad (1)$$

$$e^{-i\pi\alpha_P(t)/2} \left(s/s_0 \right)^{\alpha_P(t)} \left[G'(\alpha_P) + \left(L - i\pi/2 \right) G(\alpha_P) \right].$$

Since the first term in squared brackets determines the shape of the cone, one fixes

$$G'(\alpha_P) = -a_P e^{b_P[\alpha_P-1]}, \quad (2)$$

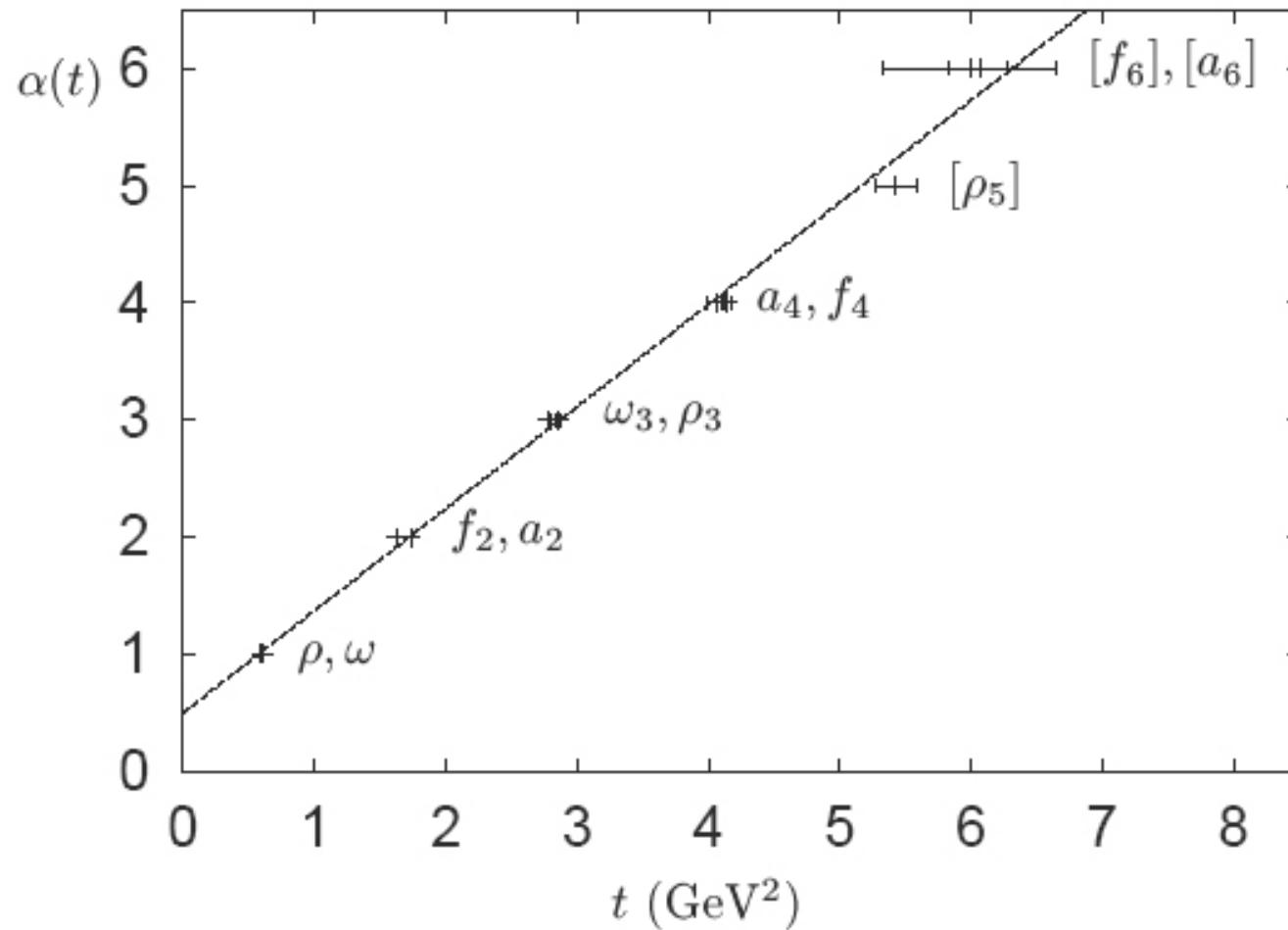
where $G(\alpha_P)$ is recovered by integration, and, as a consequence, the Pomeron amplitude can be rewritten in the following “geometrical” form

$$A_P(s, t) = i \frac{a_P}{b_P} \frac{s}{s_0} [r_1^2(s) e^{r_1(s)[\alpha_P-1]} - \varepsilon_P r_2^2(s) e^{r_2(s)[\alpha_P-1]}], \quad (3)$$

where $r_1^2(s) = b_P + L - i\pi/2$, $r_2^2(s) = L - i\pi/2$, $L \equiv \ln(s/s_0)$.

Linear particle trajectories

Plot of spins of families of particles against their squared masses:



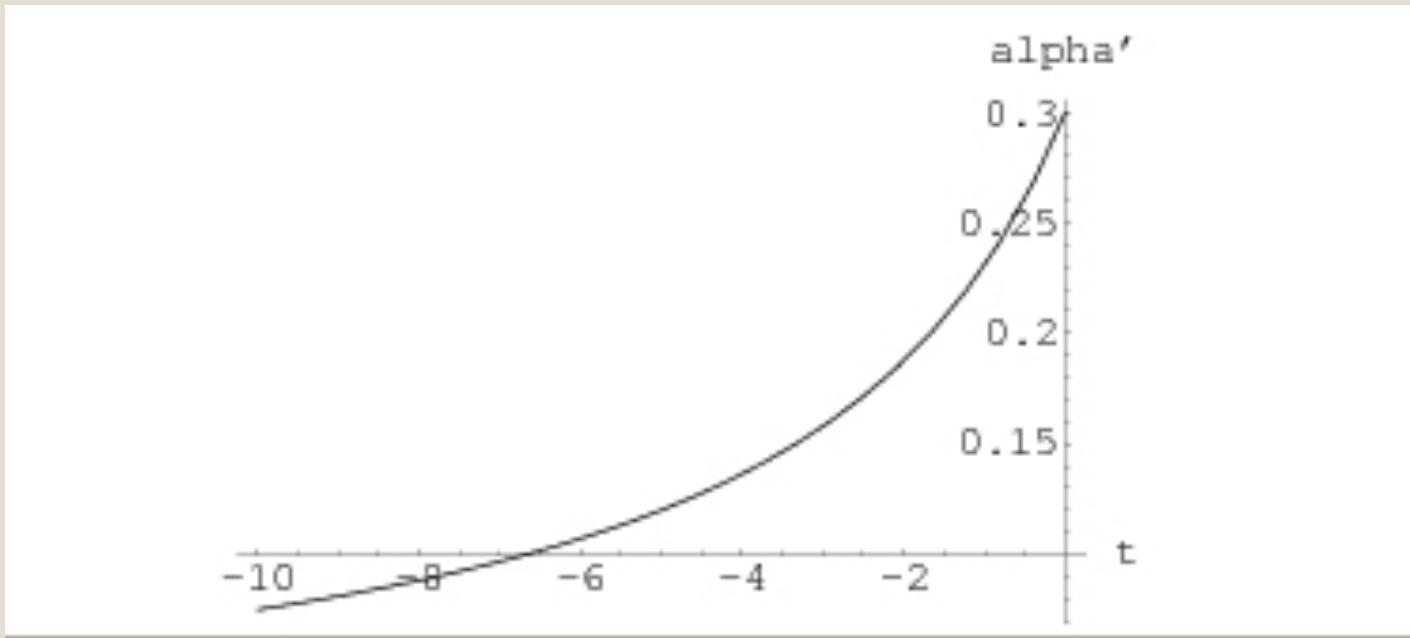
The Pomeron trajectory

The Pomeron trajectory has threshold singularities, the lowest one being due to the two-pion exchange, required by the t -channel unitarity. There is a constrain (Barut, Zwanziger; Gribov) from the t - channel unitarity, by which

$$\Im\alpha(t) \sim (t - t_0)^{\Re\alpha(t_0)+1/2}, \quad t \rightarrow t_0,$$

where t_0 is the lightest threshold. For the Pomeron trajectory it is $t_0 = 4m_\pi^2$, and near the threshold:

$$\alpha(t) \sim \sqrt{4m_\pi^2 - t}. \tag{1}$$



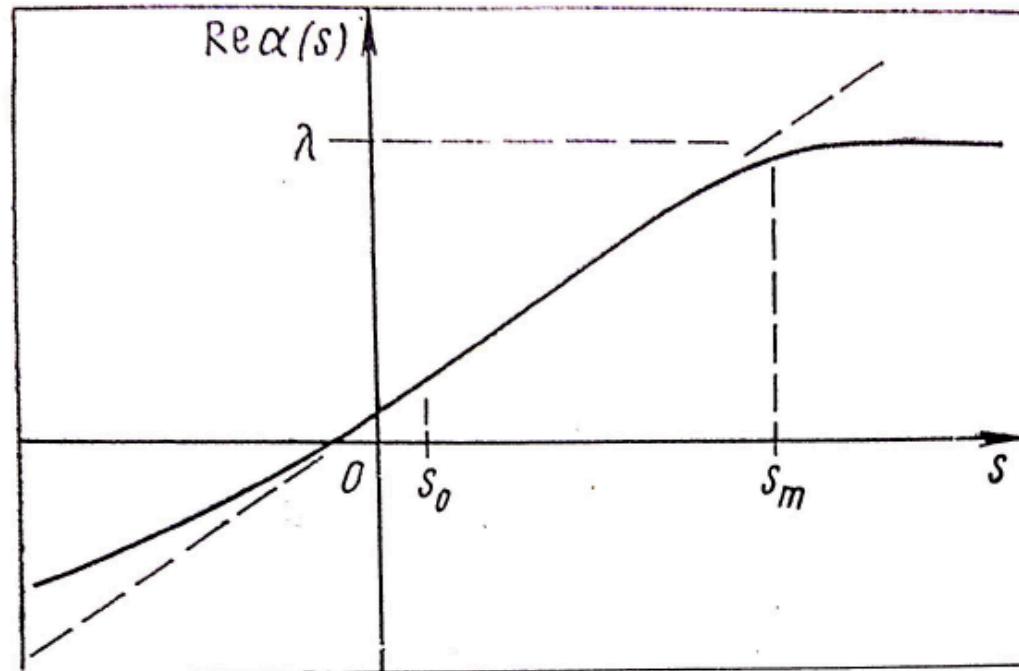
The slope of the cone for a single pole is:
 $B(s, t) \sim \alpha'(t) \ln s$. The Regge residue $e^{b\alpha(t)}$ with a logarithmic trajectory $\alpha(t) = \alpha(0) - \gamma \ln(1 - \beta t)$, is identical to a form factor (geometrical model).

Representative examples of the Pomeron trajectories: 1) Linear; 2) With a square-root threshold, required by t -channel unitarity and accounting for the small- t “break” as well as the possible “Orear”, $e^{\sqrt{-t}}$ behavior in the second cone; and 3) A logarithmic one, anticipating possible “hard effects” at large $|t|$ $|t| < 8 \text{ GeV}^2$.

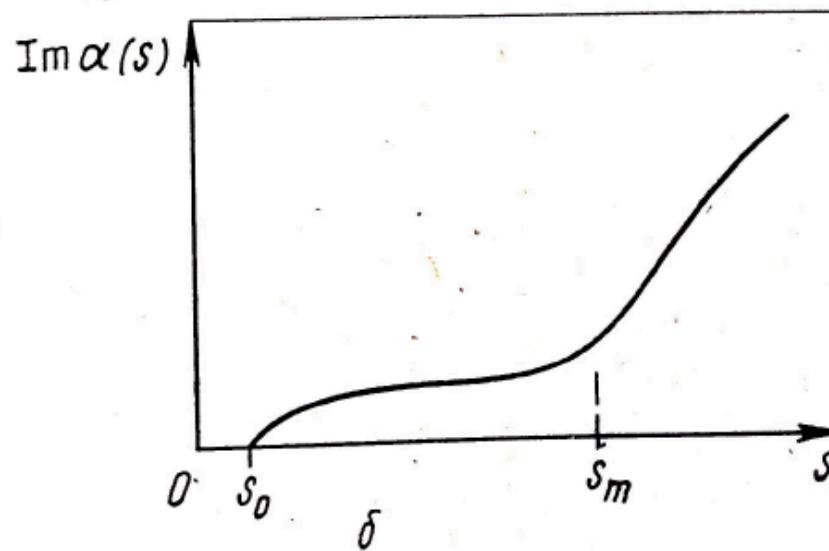
$$\alpha_P \equiv \alpha_P(t) = 1 + \delta_P + \alpha_{1P}t, \quad (\text{TR.1})$$

$$\alpha_P \equiv \alpha_P(t) = 1 + \delta_P + \alpha_{1P}t - \alpha_{2P} \left(\sqrt{4\alpha_{3P}^2 - t} - 2\alpha_{3P} \right), \quad (\text{TR.2})$$

$$\alpha_P \equiv \alpha_P(t) = 1 + \delta_P - \alpha_{1P} \ln(1 - \alpha_{2P}t). \quad (\text{TR.3})$$



α



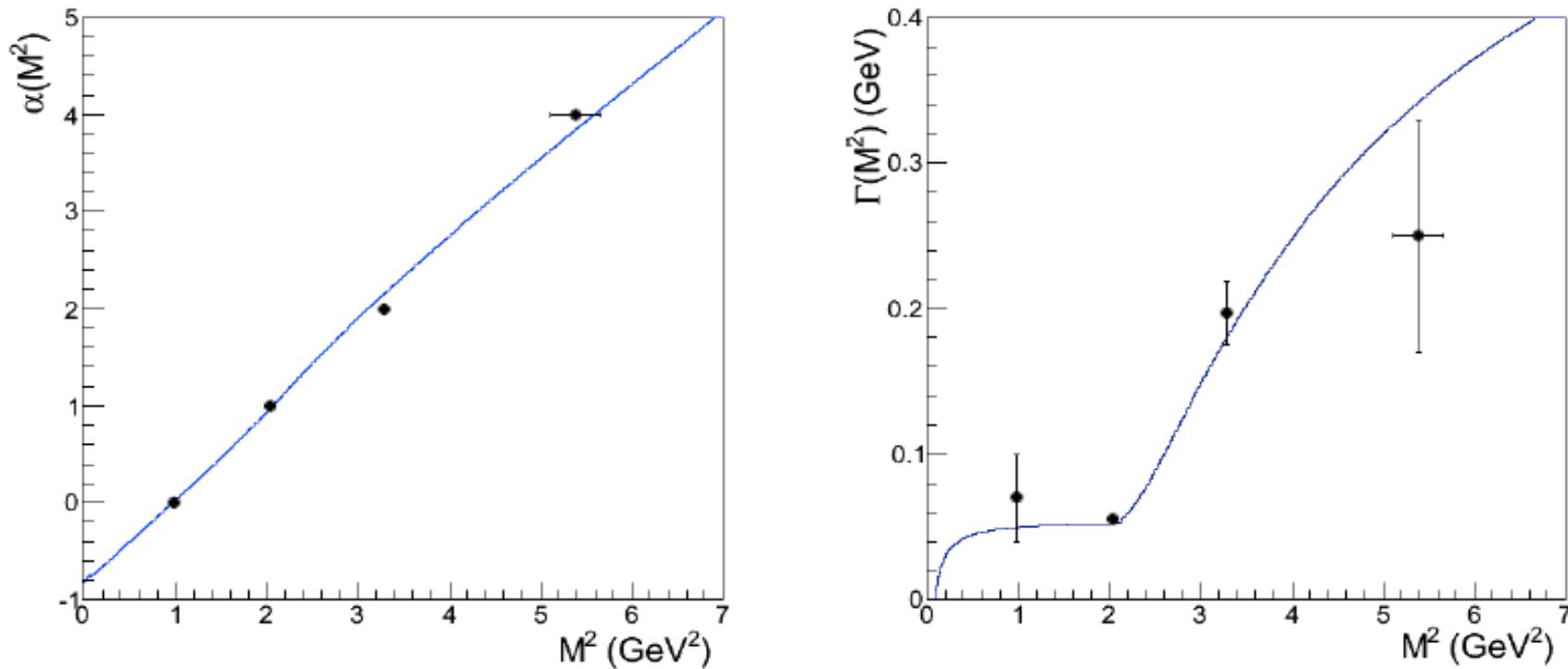


FIG. 6: Real part of f_1 trajectory on the left, width function $\Gamma(M^2)$ on the right.

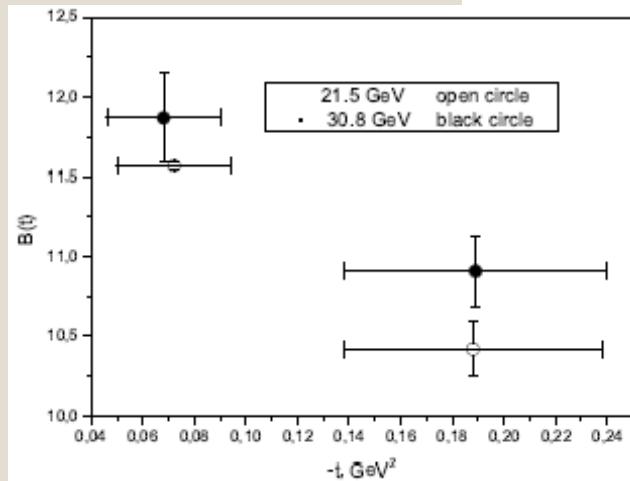
R. Fiore, L. Jenkovszky, V. Magas, F. Paccanoni, A. Papa, *Eur.Phys.J. A* **10** (2001) 217-221, hep-ph/0011035.

R. Fiore, L. Jenkovszky, R. Schicker, *Eur.Phys.J. C* **76** (2016) no.1, 38, arXiv:1512.04977.

G. Cohen-Tannoudji, V.V. Ilyin, Laszlo L. Jenkovszky, Nuov. Cim. **5**, 957 (1972).

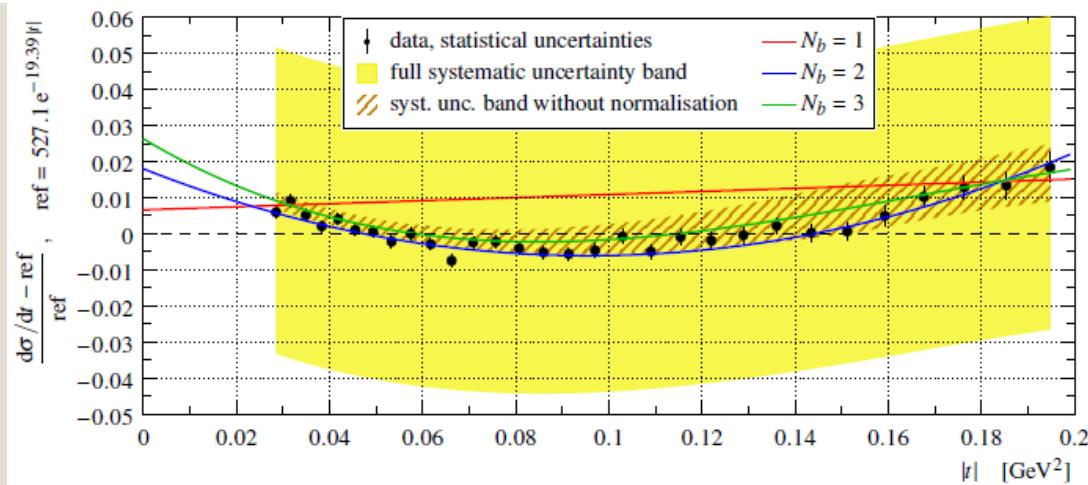
“Break”

A.A. Anselm, V.N. Gribov, Phys. Letters **40B**, 487 (1972).



Local slopes $B(t)$ calculated for low- $|t|$ ISR

$$B(s,t) = \frac{d}{dt} \ln \frac{d\sigma(s,t)}{dt}$$



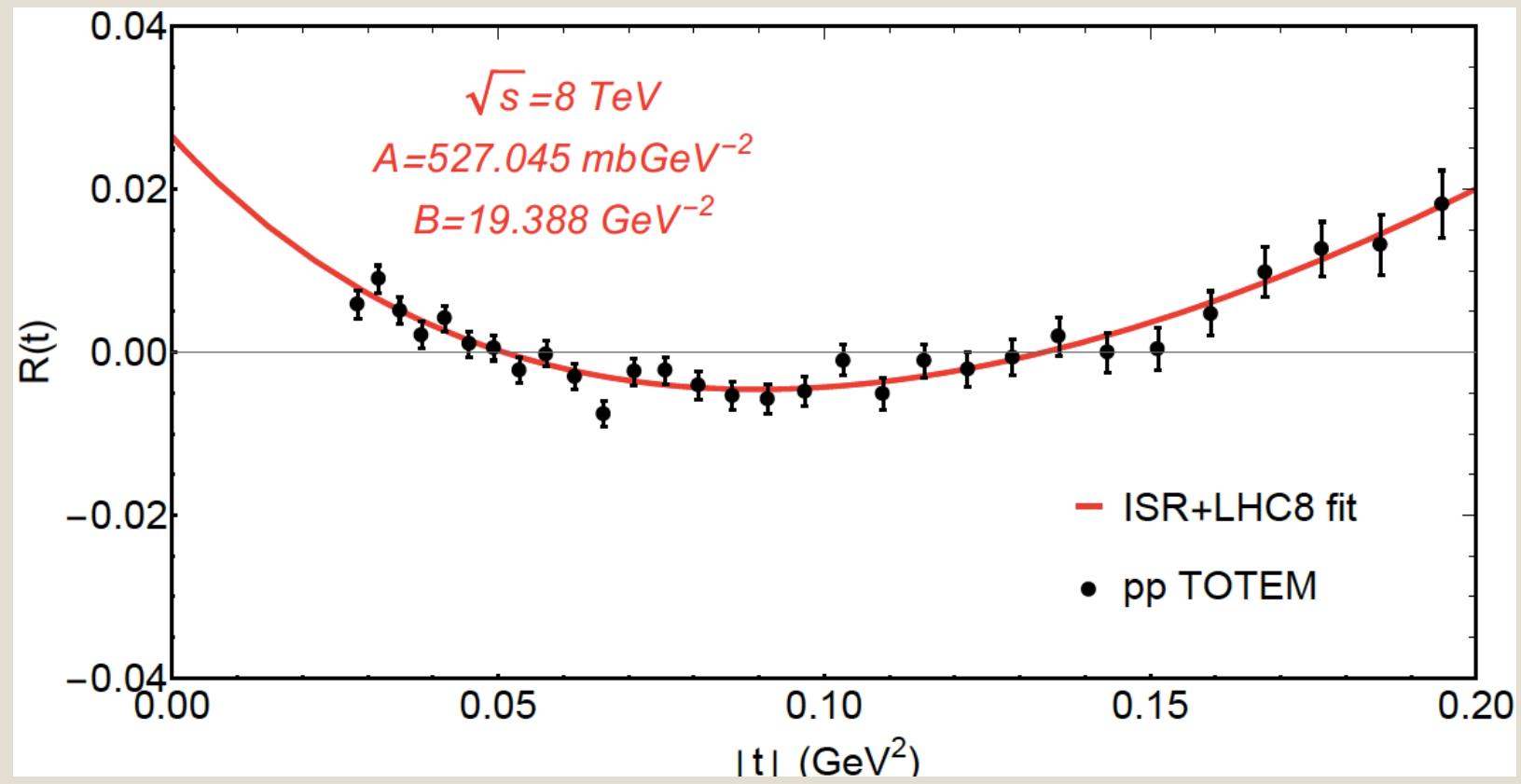
$R(t)$ calculated for low- $|t|$ 8 TeV data.

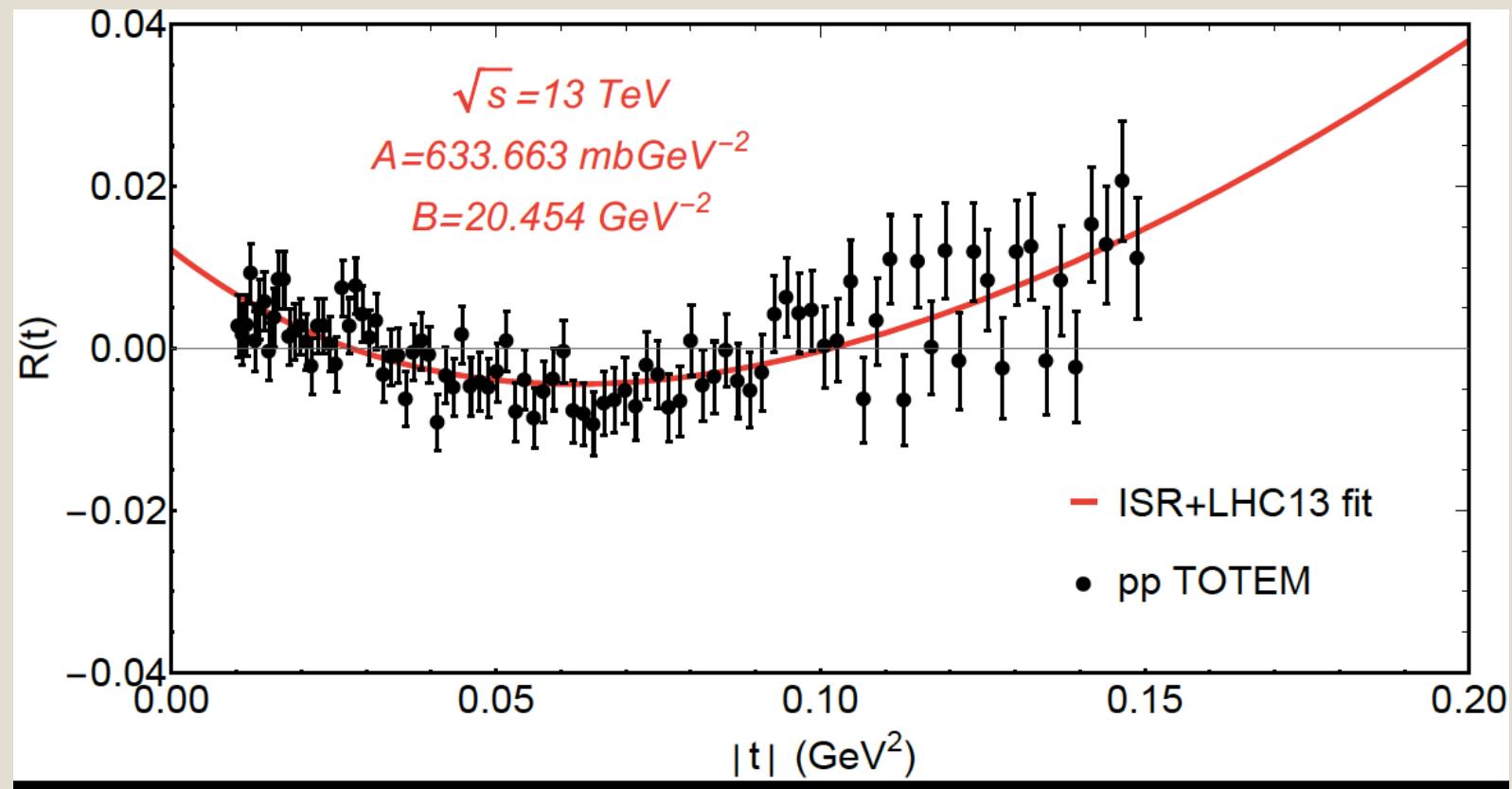
$$R(t) = \frac{d\sigma(t)/dt - \text{ref}}{\text{ref}}$$

$$\text{ref} = Ae^{Bt}$$

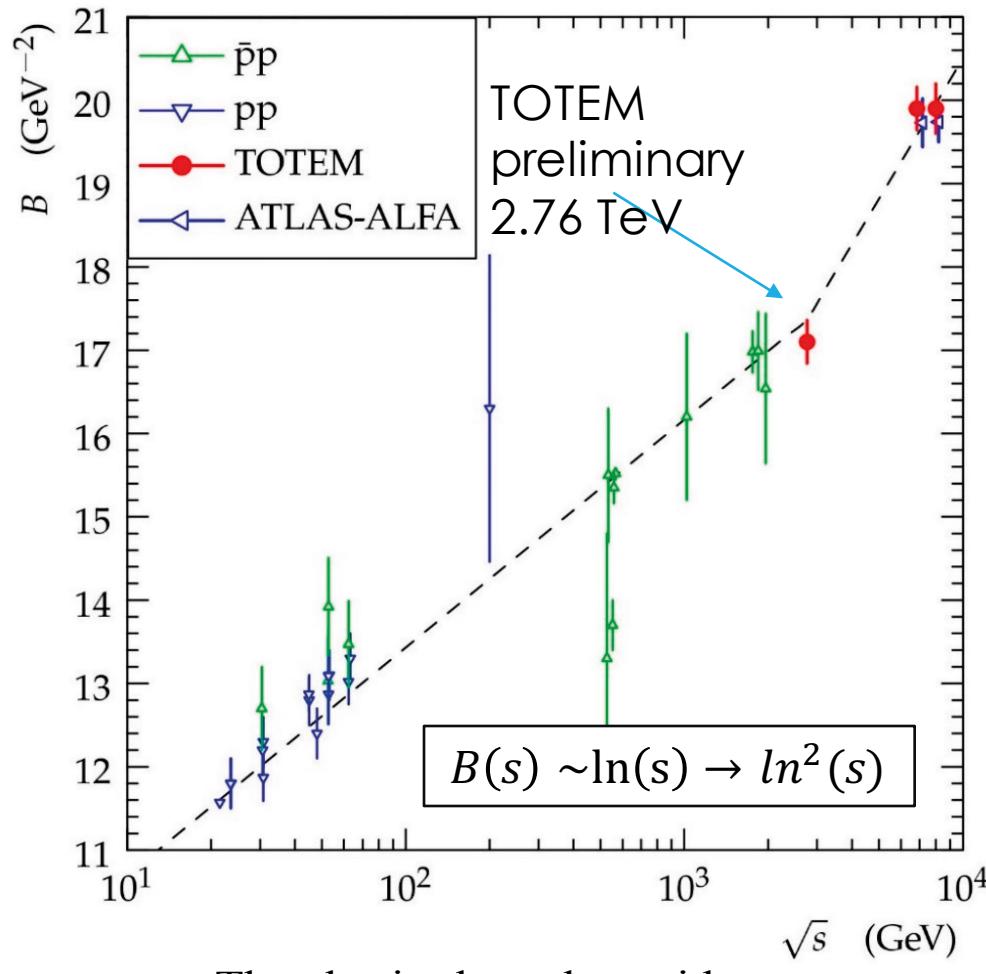
arXiv:1410.4106
G. Barbiellini et al., Phys. Lett. B 39 (1972) 663

arXiv:1503.08111

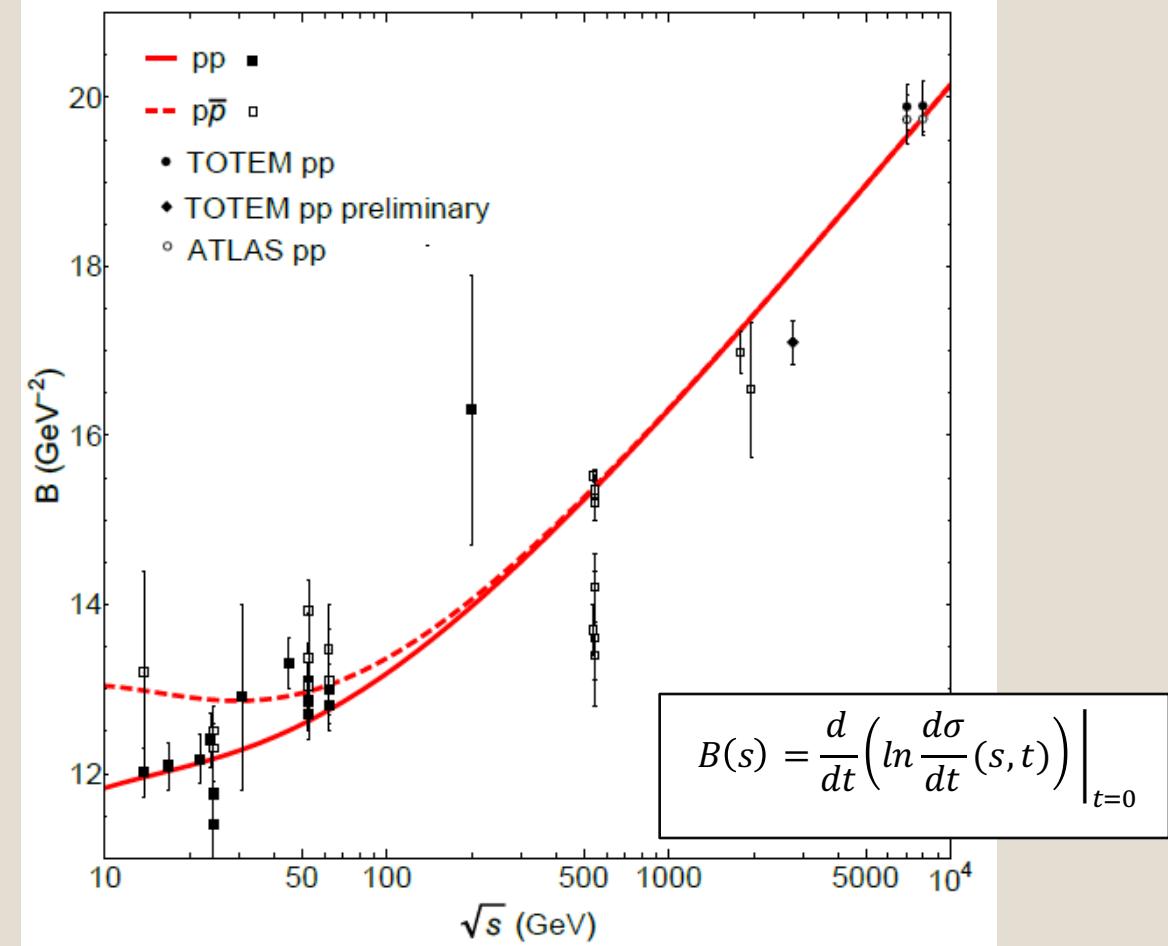




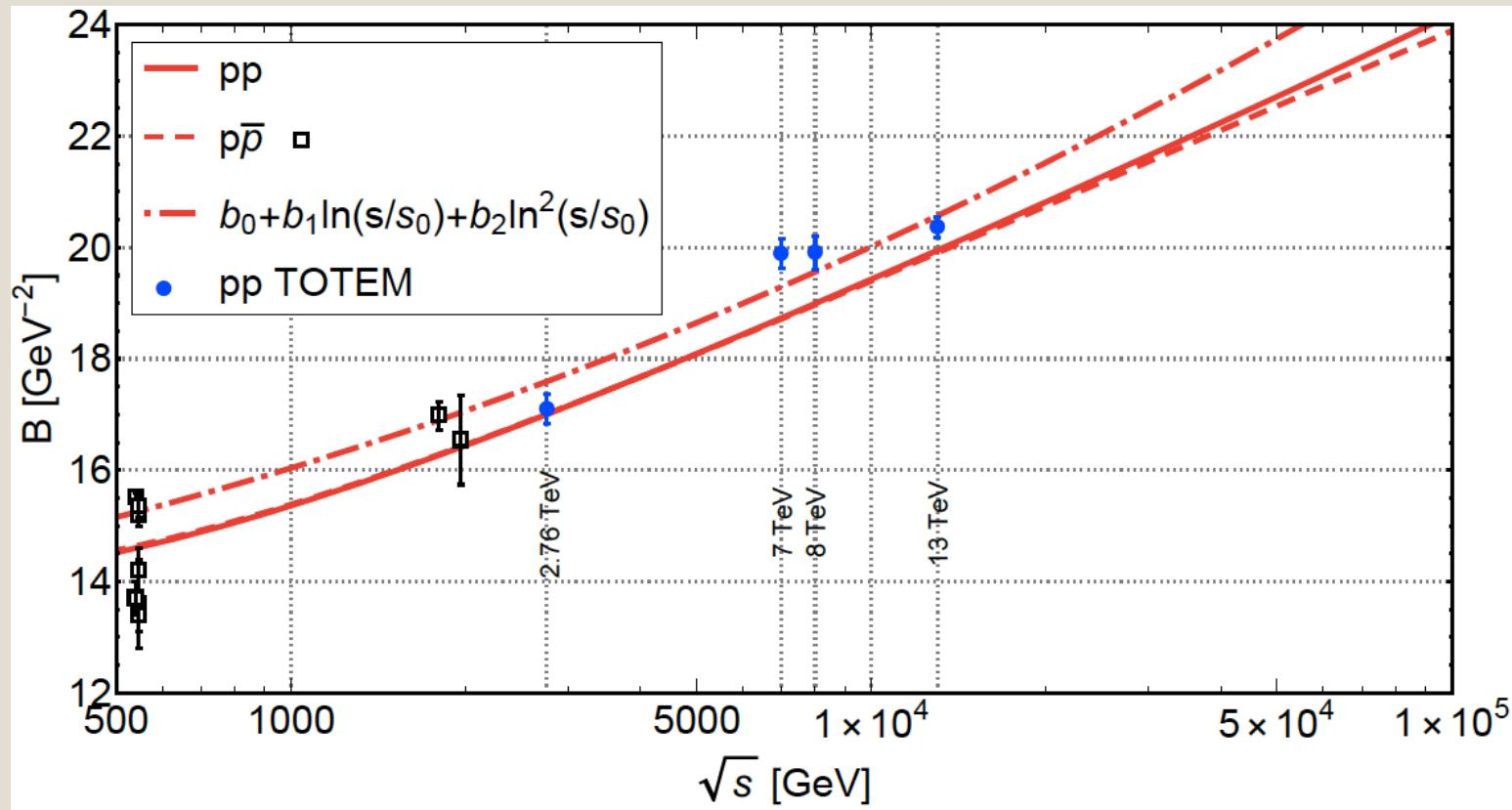
New elastic slope measurements

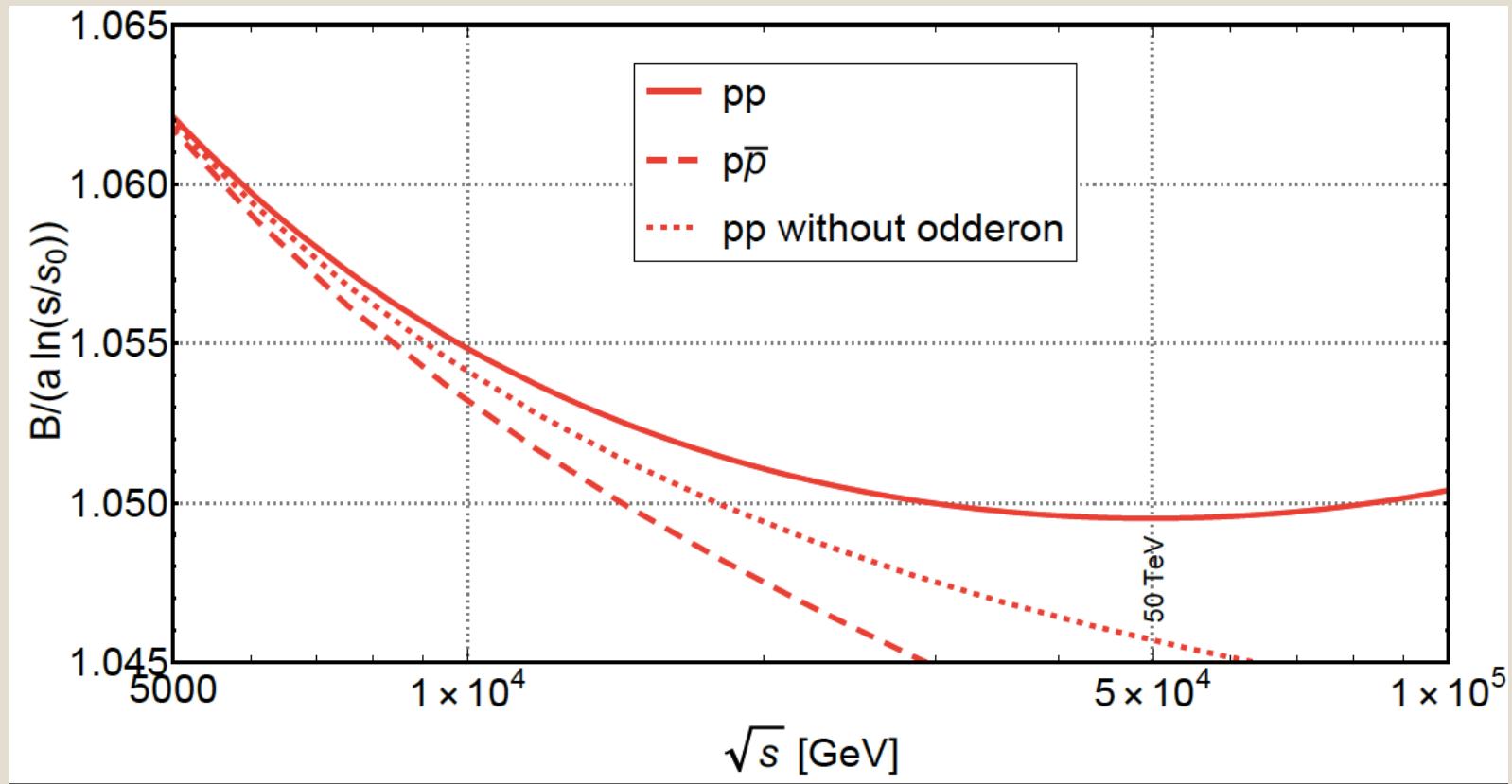


The elastic slope data with
preliminary TOTEM results.

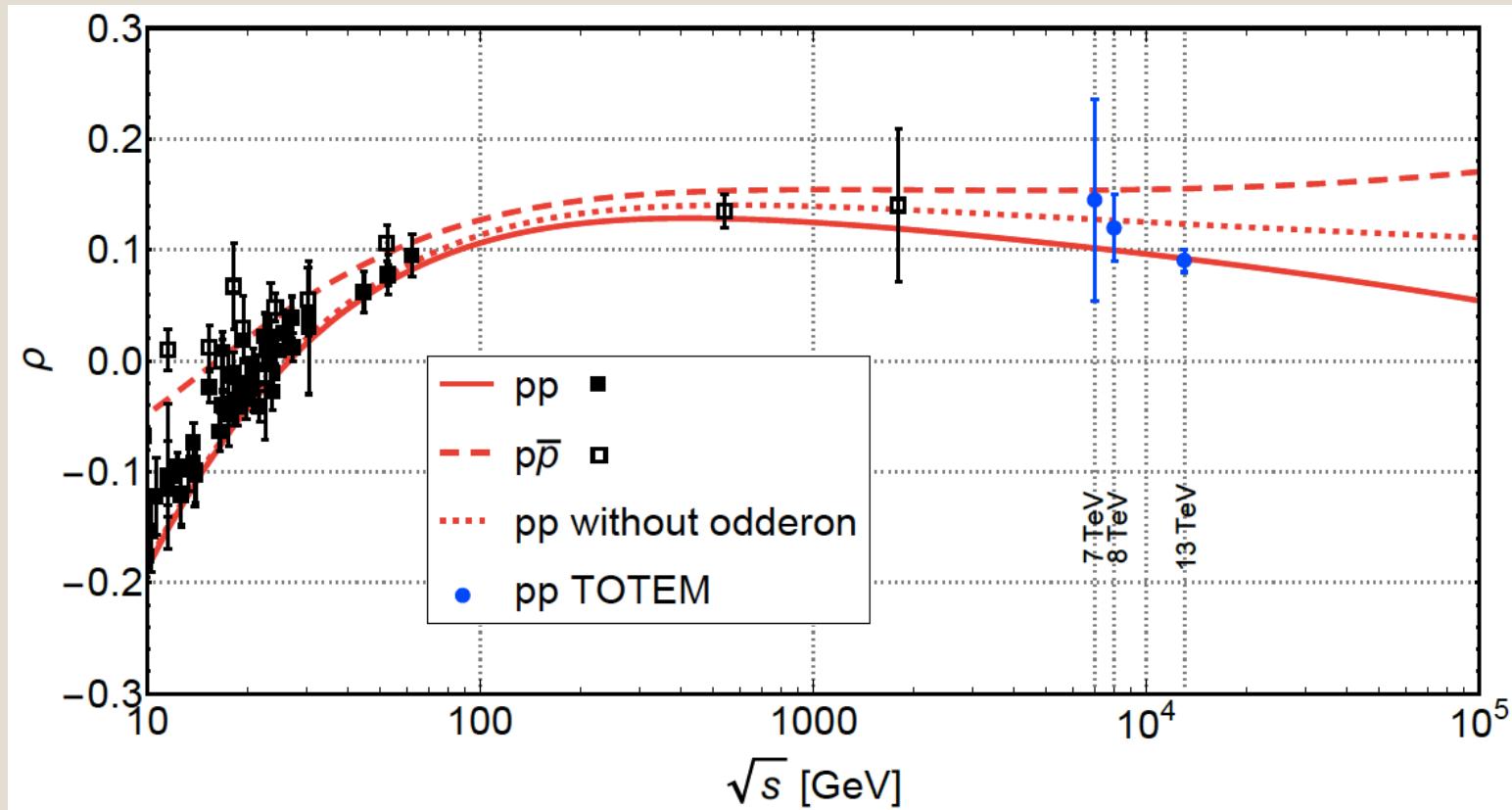


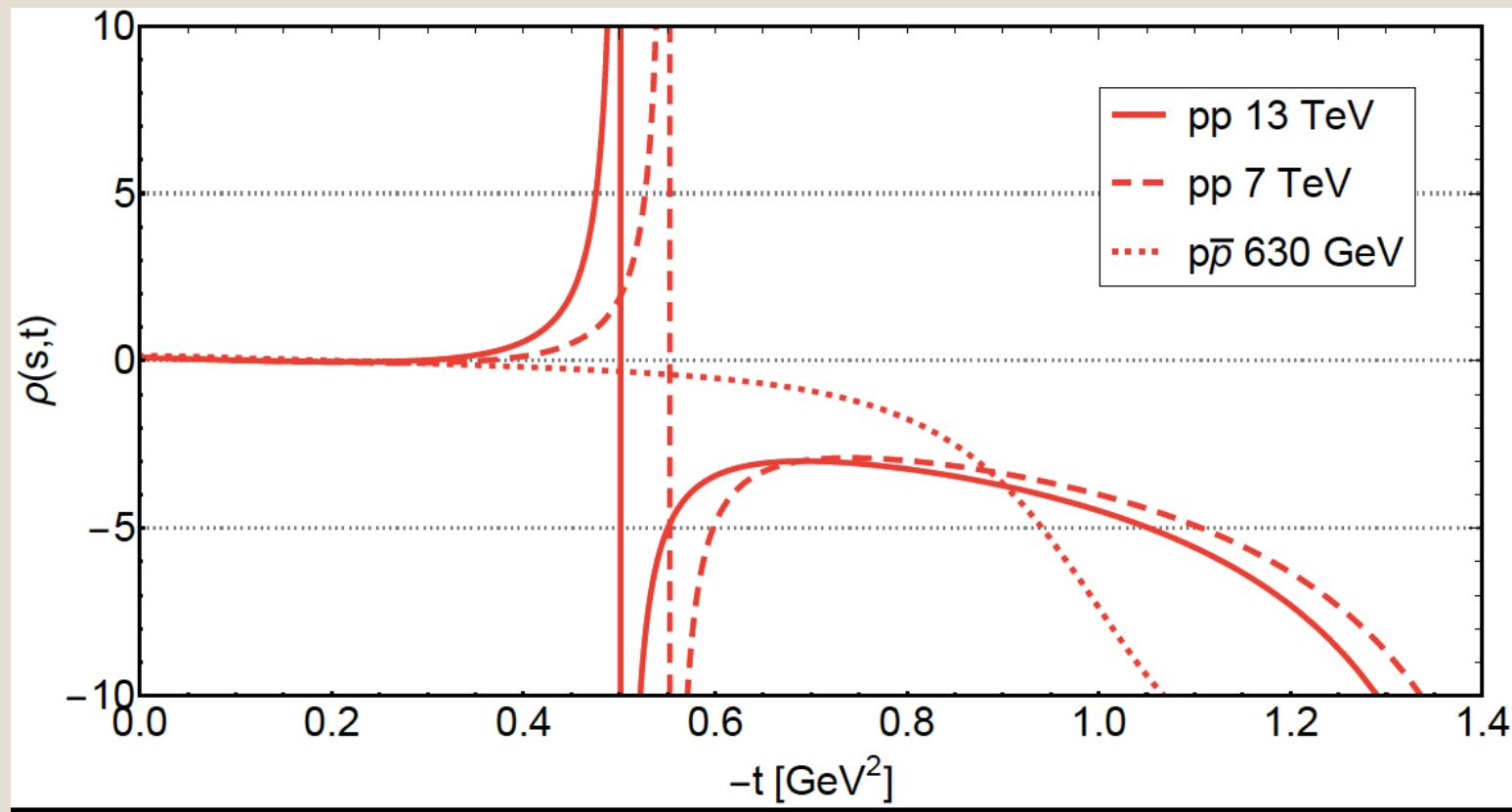
Fitted pp and $p\bar{p}$ elastic slope.

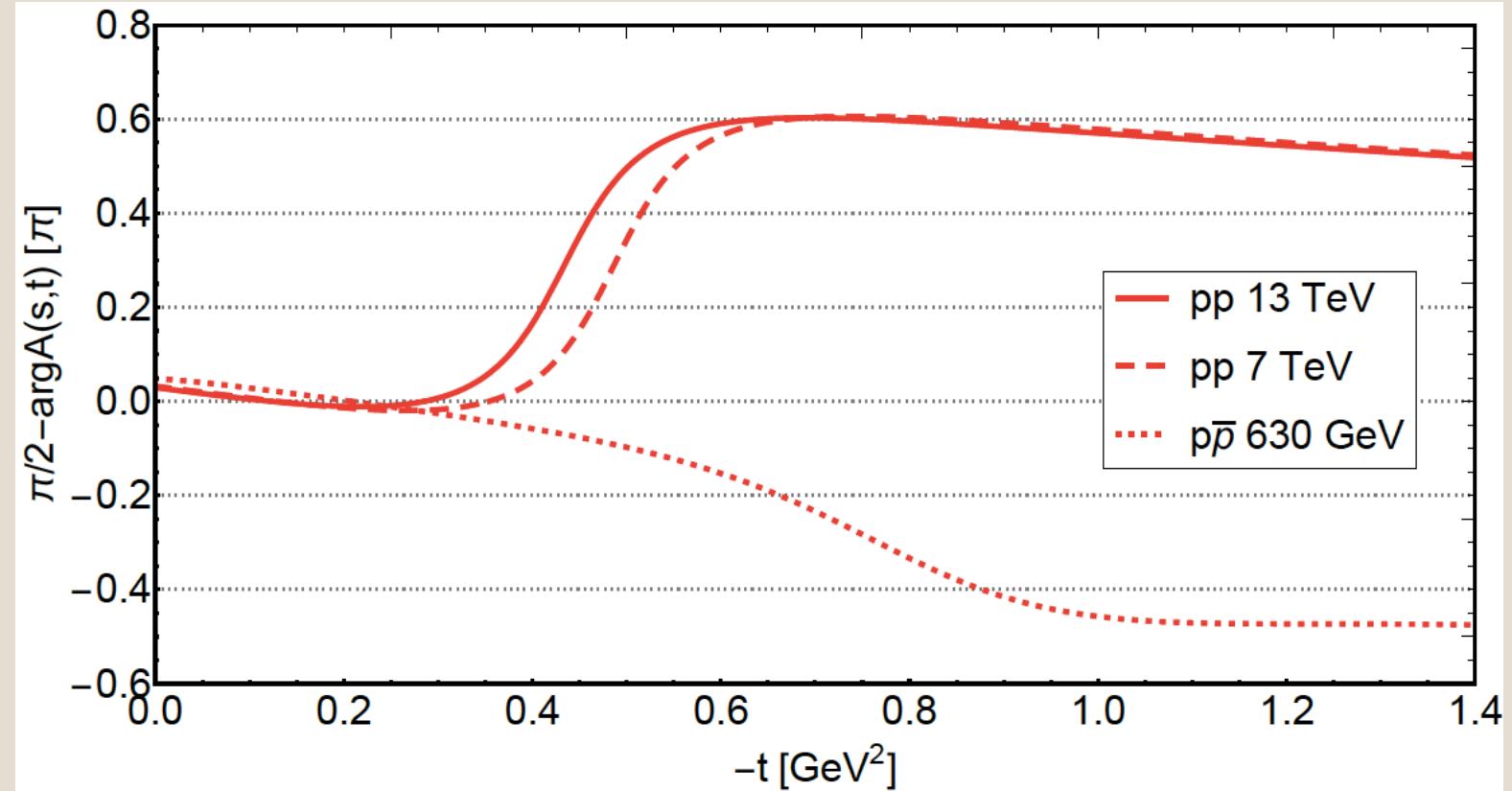


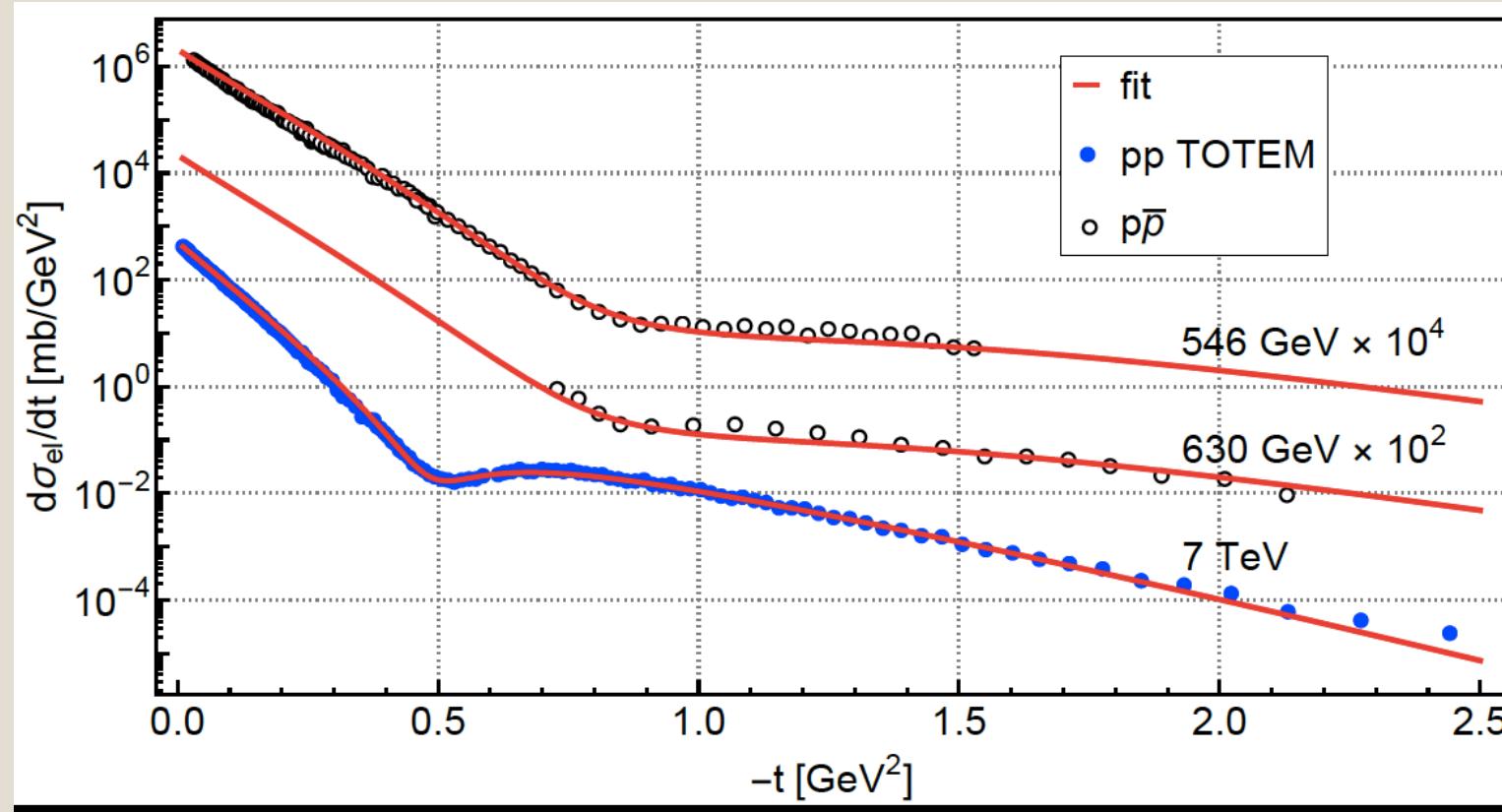


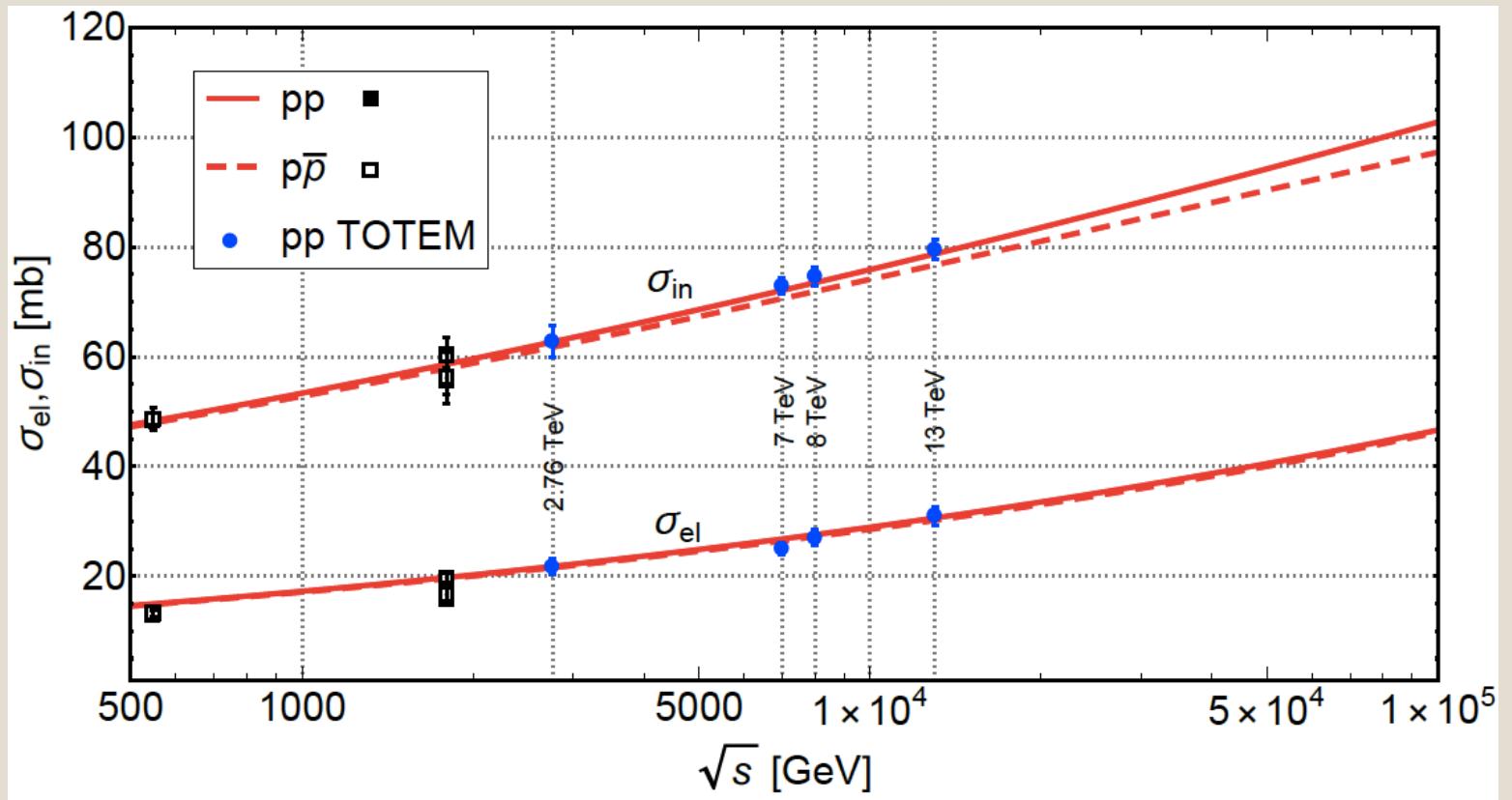
TOTEM (2017) and “discovery” the odderon

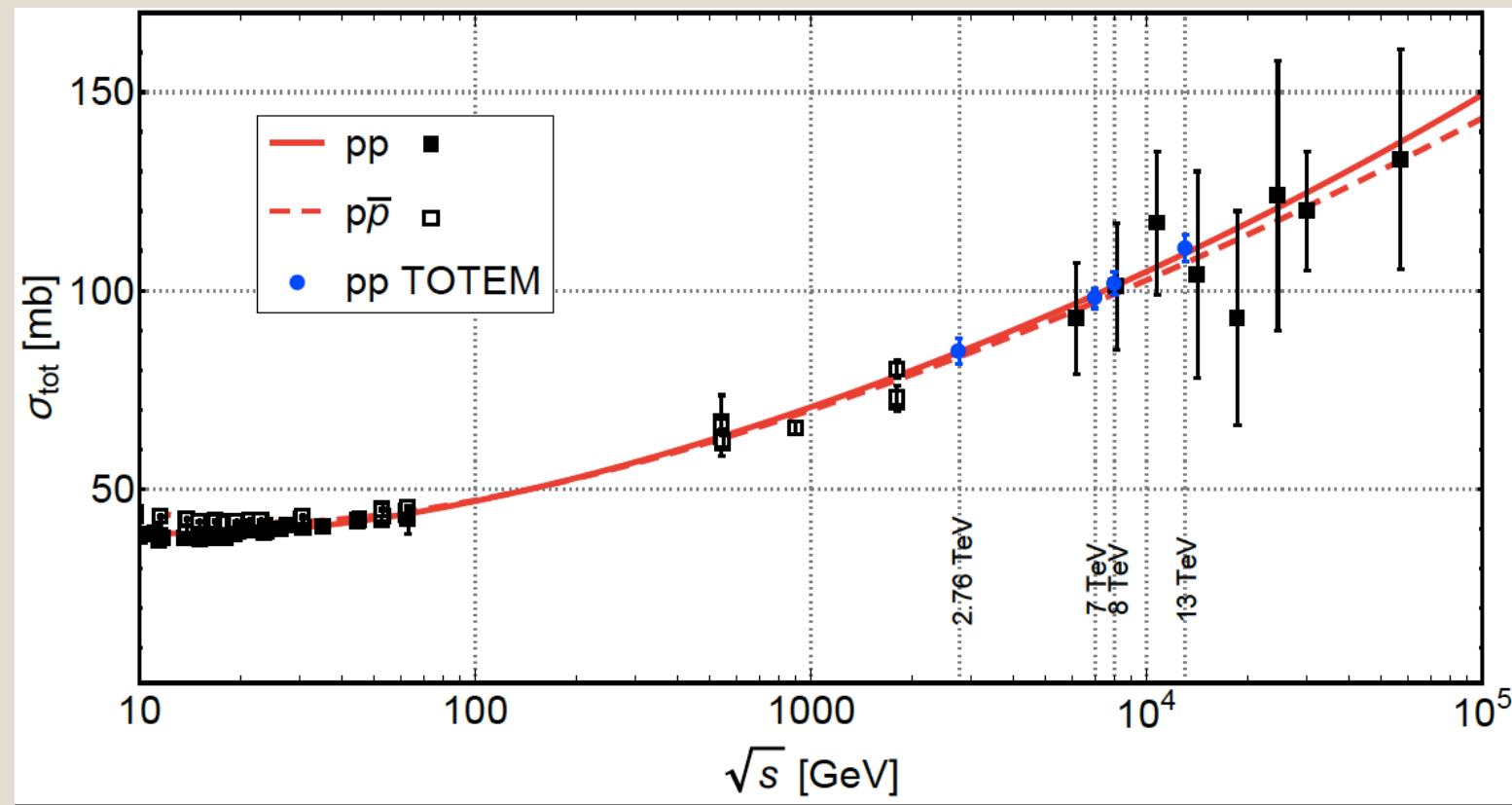


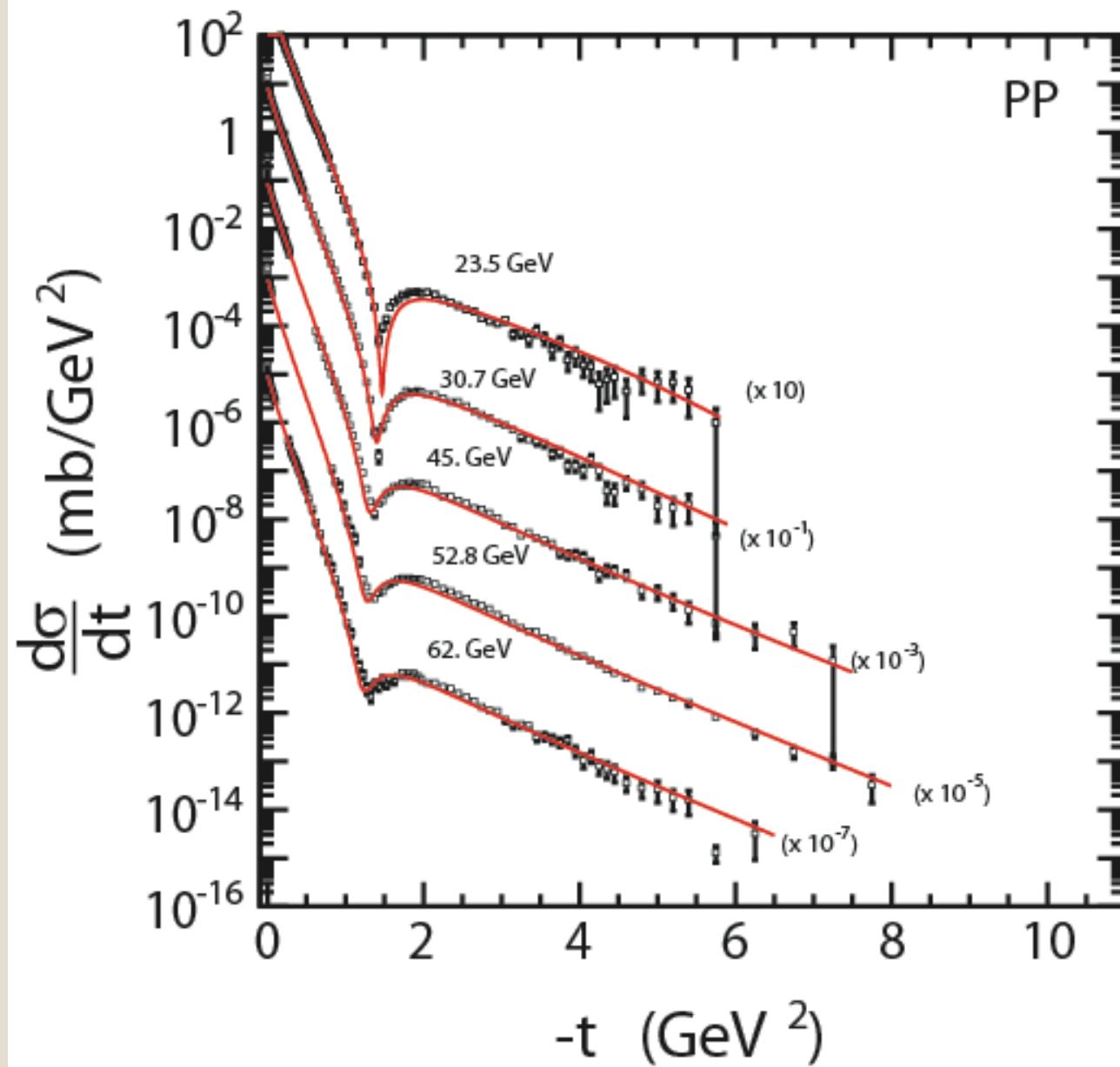


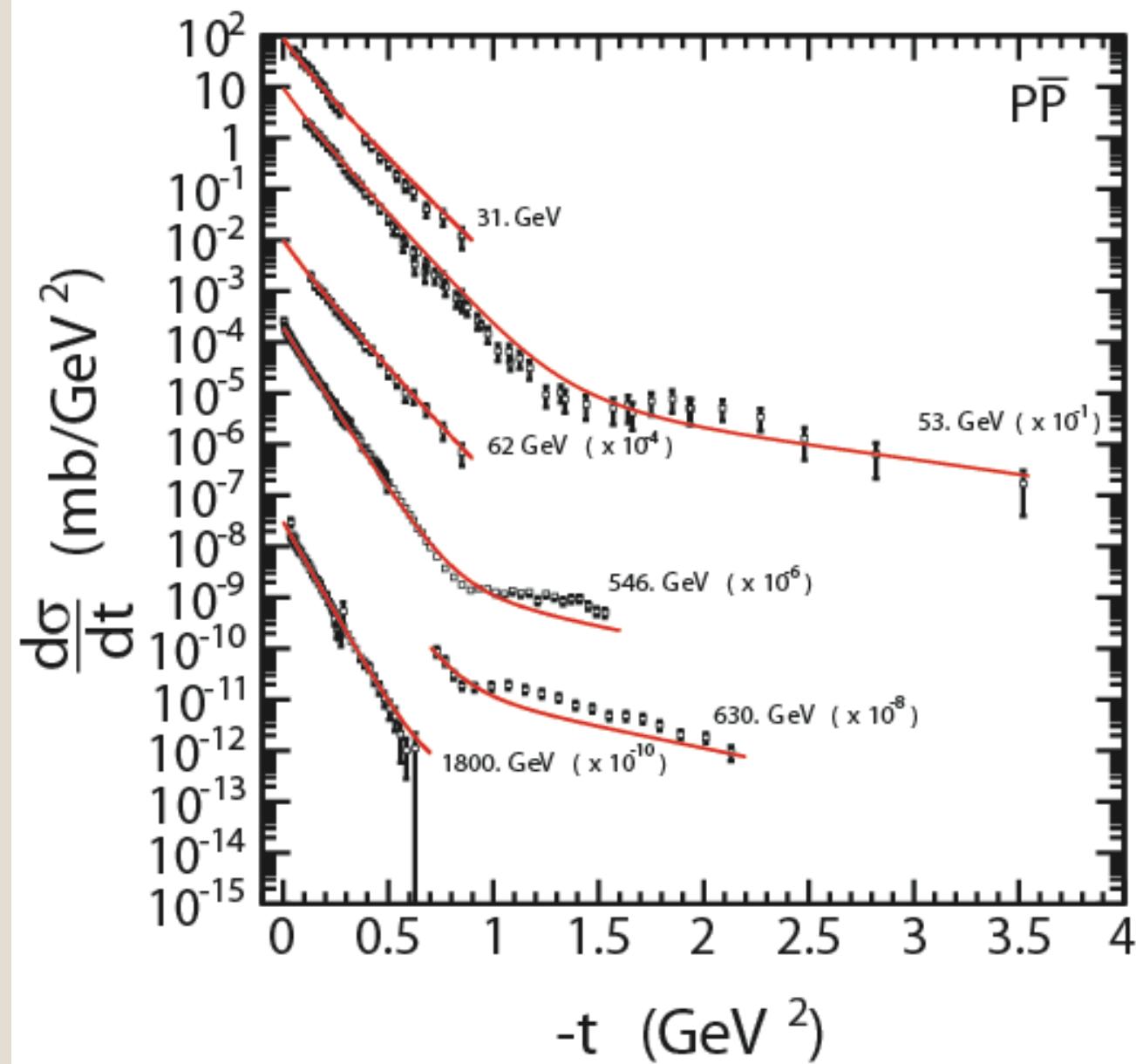


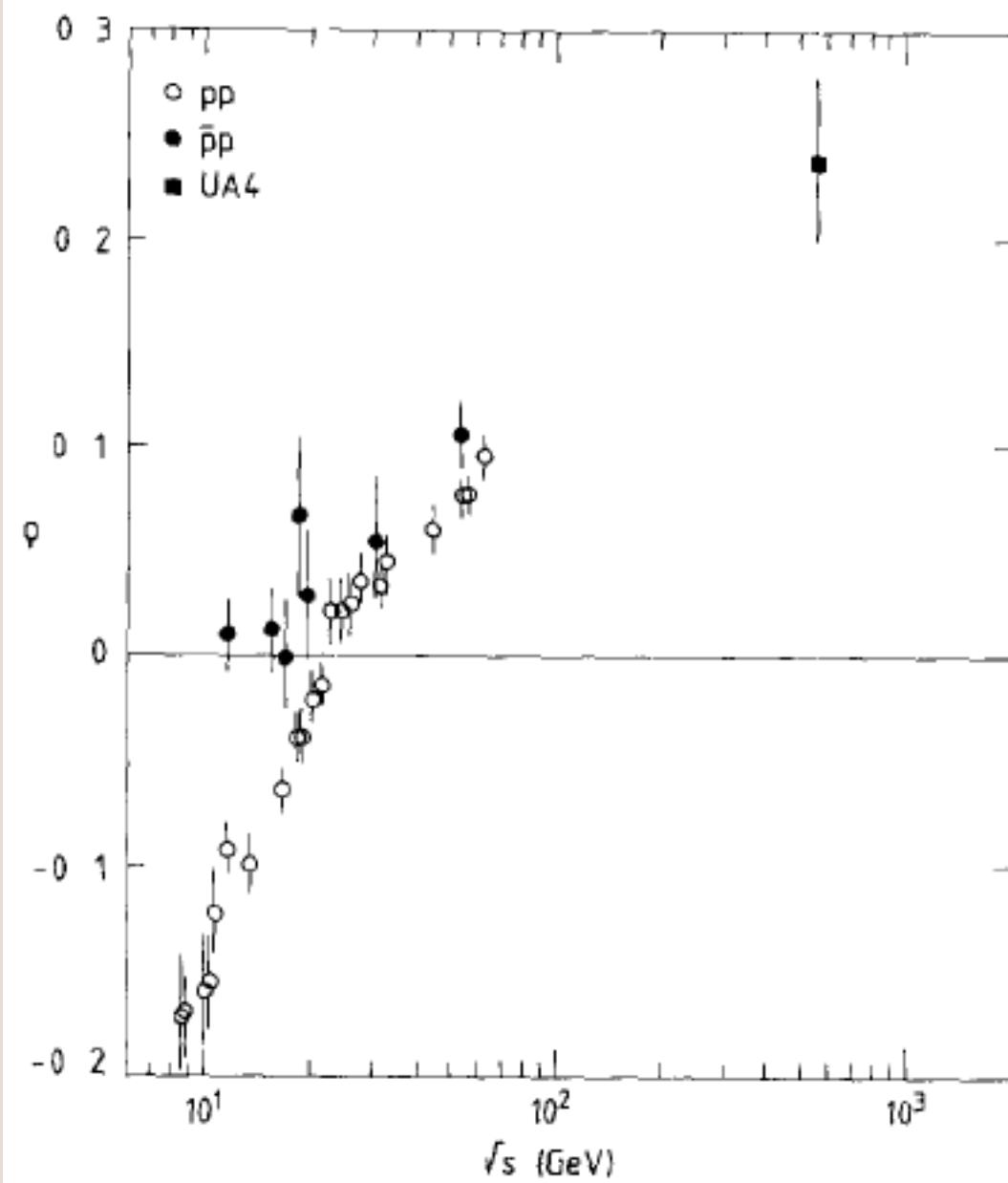












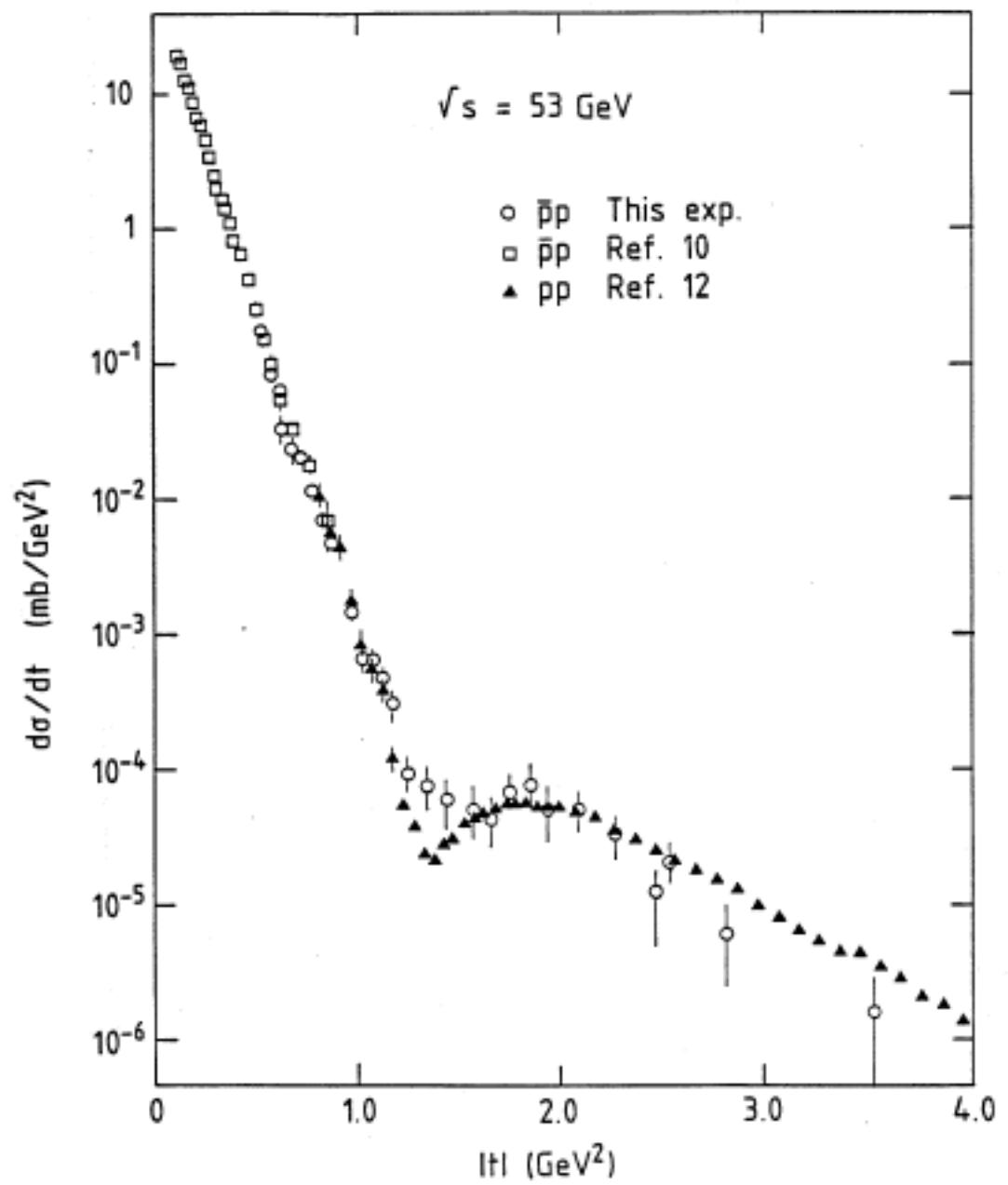
!

**REAL PART OF THE PROTON-ANTIPROTON ELASTIC SCATTERING AMPLITUDE
AT THE CENTRE OF MASS ENERGY OF 546 GeV**

Collaboration

Erasmus University Rotterdam-CERN-Genova-Napoli-Palaiseau-Pisa

J. ARNOLD^a†, M. BOZZO^b, P.L. BRACCINI^c, F. CARBONARA^d, R. CASTALDI^c,
F. CERVELLI^c, G. CHIEFARI^d, E. DRAGO^d, M. HAGUENAUER^e, V. INNOCENTE^c‡,
J. JUIT^f, S. LANZANO^d, G. MATTHIAE^d§, L. MEROLA^d, M. NAPOLITANO^d,
P. LLADINO^d, G. SANGUINETTI^c, P. SCAMPOLI^c, S. SCAPELLATO^c¶, G. SCIACCA^d,
H. STEPHANETTE^b, J. TIMMERMANS^f, C. VANNINI^c, J. VELASCO^a§, P.G. VERDINI^c and F. VISCO^d
(2009).

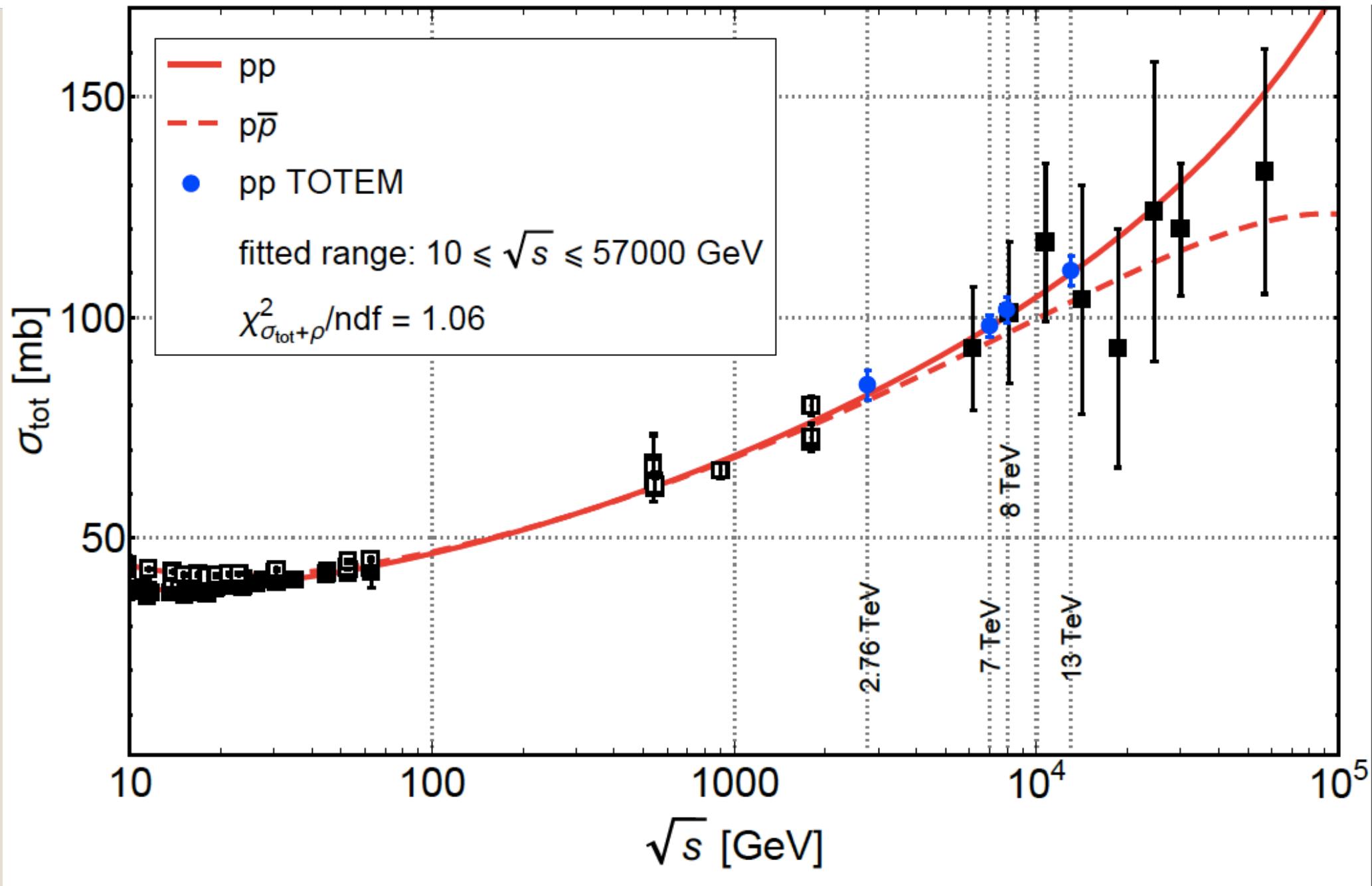


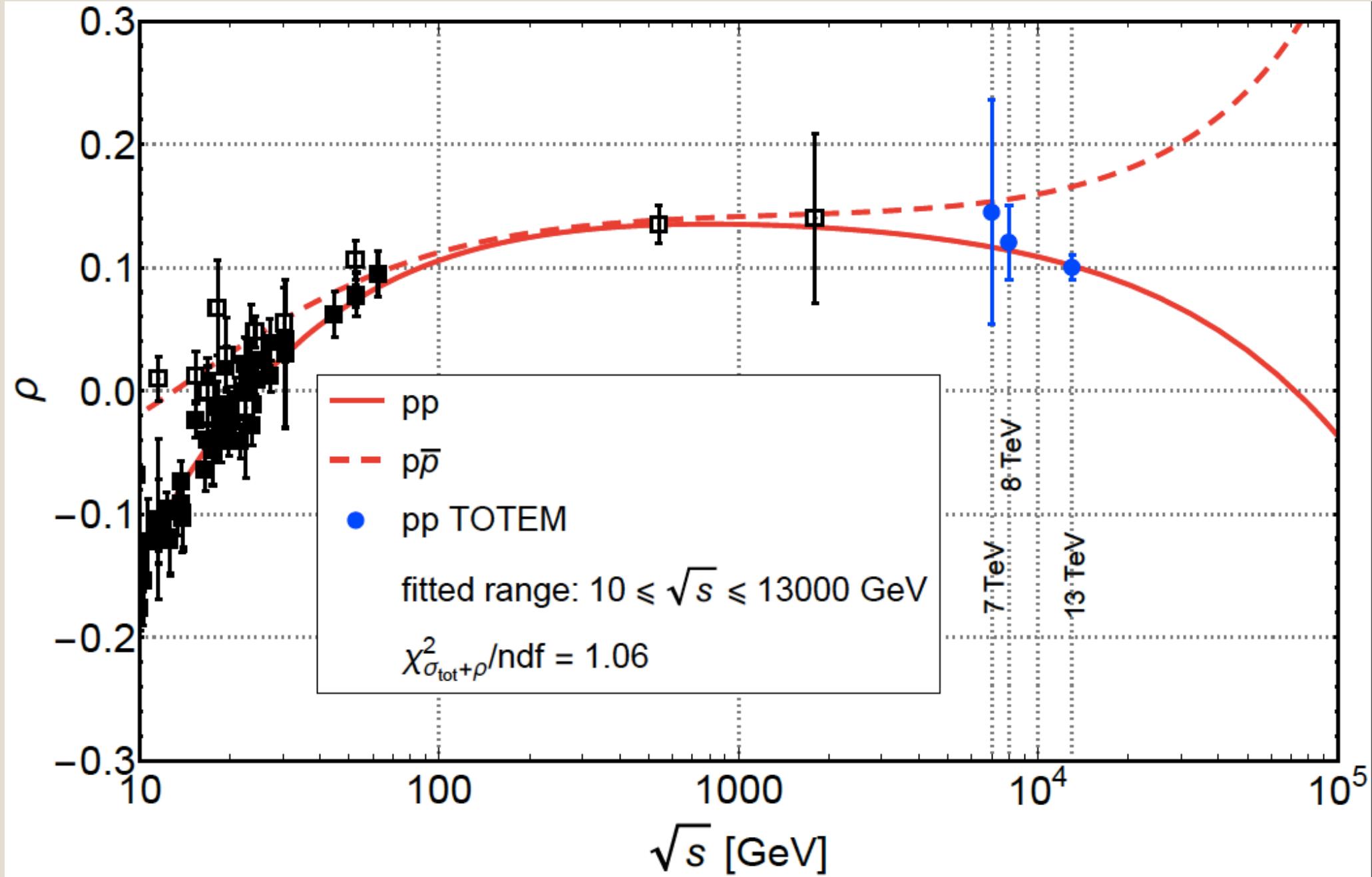
EUROPEAN ORGANIZATION FOR NUCLEAR RESEARCH

CERN/EP 85-9
24 January 1985

A MEASUREMENT OF $\bar{p}p$ AND $p\bar{p}$ ELASTIC SCATTERING IN THE
DIP REGION AT $\sqrt{s} = 53$ GeV

A. Breakstone^{1(*)}, H.B. Crawley¹, G.M. Dallavalle⁵, K. Doroba⁶, D. Drijard³,
F. Fabbri³, A. Firestone¹, H.G. Fischer³, H. Frehse^{3(**)}, W. Geist^{3(***)},
G. Giacomelli², R. Gokieli⁶, M. Gorbics¹, P. Hanke³, M. Heiden^{3(***)},
W. Herr³, E.E. Kluge³, J.W. Lamsa¹, T. Lohse⁴, W.T. Meyer¹, G. Mornacchi³,
T. Nakada⁵⁽⁺⁾, M. Panter³, A. Putzer³, K. Rauschnabel⁴, F. Rimondi²,
G.P. Siroli³, R. Sosnowski⁶, M. Szczekowski³, O. Ullaland³ and D. Wegener⁴





Conclusions & open problems:

A single data point, $\rho(13)=0.1$ does not prove the “discovery” of the odderon;
Fits to $\rho+\sigma_t$ are not critical (informative); data on diff. cross sections should
be added;

The odderon (or 3-g exchange) **does** exist since nothing prevents its existence;

Measuring of $p\bar{p}$ and $\bar{p}p$ at the same energy;

The odderon & dynamics of the dip-bump;

Universality of the “break”; the break in $\bar{p}p$?

Rise ($\log s$?) of the slope $B(s)$;

Correlation between ρ , σ_t and the dip;

BNL measurements are eagerly awaited!

Slow-down of total cross sections (saturation)?

“Oddballs”?