

# Searching for axion-like particles with proton tagging at the Large Hadron Collider

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- One of the main goals of Particle Physics is the search for **New Physics**;
- Photon-physics above the electroweak scale opens new paths for novel searches for New Physics complementary to the standard efforts at the LHC;
- Of particular interest are pseudoscalars weakly coupled to SM particles, known as **axion-like particles** (ALPs).
- ALPs appear in many extensions of the SM:
  - ▶ Pseudo Nambu-Goldstone bosons after spontaneous breaking of a global symmetry;
  - ▶ String theory landscape;
  - ▶ Mediators between hidden sectors and the SM;
- **In this presentation** we show projections for the search of ALPs in exclusive diphoton production in  $pp \rightarrow p(\gamma\gamma \rightarrow a \rightarrow \gamma\gamma)p$  at the LHC.

# Axion-like particles (ALPs)

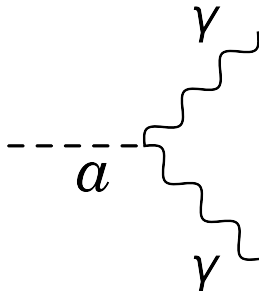
- We focus solely on the coupling of ALP to photons;
- No further assumptions on the ALP–SM particles couplings are necessary!
- Model ALP–photon coupling via conventional **dimension-five operator**,

$$\mathcal{L}_a = \frac{1}{2}(\partial a)^2 - \frac{1}{2}m_a^2 a^2 + \frac{1}{f} a F \tilde{F}$$

where  $a$  is the ALP field,  $\frac{1}{f}$  is the ALP–photon coupling;

- Partial decay width,

$$\Gamma(a \rightarrow \gamma\gamma) = \frac{1}{4\pi} \frac{m_a^3}{f^2}$$



ALP–photon interaction

## Constraining axion-like particles

- Landscape of ALP–photon coupling versus ALP mass;
- ALPs are strongly constrained at low masses ( $m_a = 10^{-15} - 10^{-1}$  GeV), mainly by axion helioscopes.
- ALPs constraints at multi-GeV masses are collider-based:
  - ▶ Very hard to constrain ALPs relying **only** on its coupling to photons!
  - ▶ Bounds are based on multi-photon measurements at LEP, Tevatron and LHC;
- Constraints are especially difficult for ALPs masses probed in p-p collision at the LHC (circled in red)

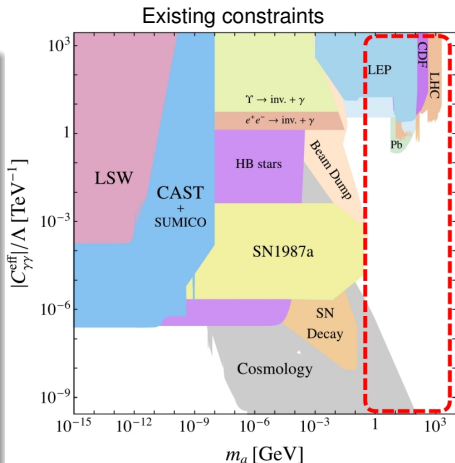
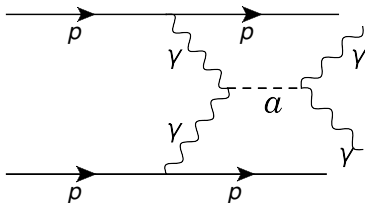


Fig. from Bauer, Neubert, Thamm, **JHEP12(2017)044**

Updated collider-bounds computed by Knapen, Lin, Lou, Melia, **PhysRevLett.118.171801**

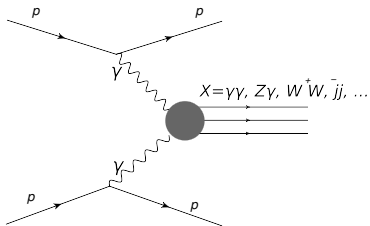
# Searching for ALPs in light-by-light scattering

- ALPs coupled to photons induce **anomalous light-by-light scattering** (LbL);
- Search in ultraperipheral heavy-ion collisions (Knapen, Lin, Lou, Melia, **PhysRevLett.118.171801**);
  - ▶ Strong exclusion power ( $Z^4$  enhancement of photon-flux);
  - ▶ ALP mass range is limited in UPCs (1 GeV to 100 GeV);
  - ▶ Search relies on bump-search over SM-LbL lineshape.
- **This presentation:** exclusive diphoton production in p-p collisions with proton tagging:
  - ▶ Access larger invariant diphoton mass (600 GeV to 2 TeV)  
↪ Sensitivity is enhanced since ALP production rate increases with  $m_{\gamma\gamma}$ ;
  - ▶ Production rates are small ( $\sim 1$  fb);
  - ▶ Search does not rely on bump-search strategy, since SM LbL is highly suppressed in p-p collisions.

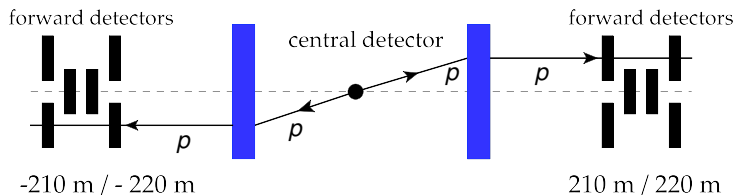


# Photon-exchange in p-p collisions

- Central exclusive reactions  $pp \rightarrow p + X + p$  can be studied by measuring  $X$  in a central detector and the intact protons  $pp$  with forward proton detectors at  $\sim 210$  m w.r.t. the interaction point.
- Proton fractional momentum loss  $\xi = \Delta p/p$  is reconstructed with the forward proton detectors.
- Can **select central exclusive processes** by comparing  $m_{\gamma\gamma}$  with  $m_{pp} = \sqrt{\xi_1 \xi_2 s}$  and  $y_{\gamma\gamma}$  with  $y_{pp} = \frac{1}{2} \ln(\xi_1/\xi_2)$ .



# Forward proton detectors



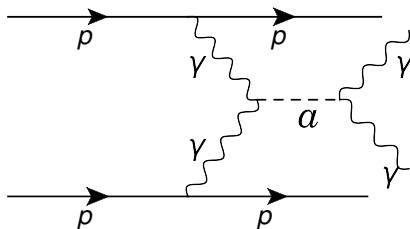
- Diphoton detected in central detector and the intact protons are tagged with forward proton detectors; **final state is completely reconstructed**;
- LHC magnetic lattice (**blue** rectangles) used as a precise proton longitudinal momentum spectrometer;
- ATLAS Forward Physics (**AFP**) and CMS-TOTEM Precision Proton Spectrometer (**CT-PPS**) are able to operate (and have collected data) with forward proton spectrometers at high instantaneous luminosities;
- **Photon-physics above electroweak scale** is a reality!

- Light-by-light scattering production rates are computed in the **Equivalent Photon Approximation**:

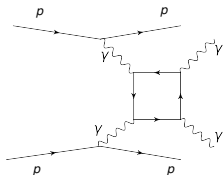
$$\frac{d\sigma}{d\Omega}^{pp \rightarrow p\gamma\gamma p} = \int \frac{d\mathcal{L}^{\gamma\gamma}}{d\hat{s}} \frac{d\hat{\sigma}}{d\Omega}^{\gamma\gamma \rightarrow \gamma\gamma} d\hat{s}$$

where  $\frac{d\mathcal{L}^{\gamma\gamma}}{d\hat{s}}$  is the two-photon effective luminosity spectrum;

- $\frac{d\hat{\sigma}}{d\Omega}^{\gamma\gamma \rightarrow \gamma\gamma}$  is derived from the ALP-photon interaction;
- Exclusive  $pp \rightarrow p(\gamma\gamma \rightarrow a \rightarrow \gamma\gamma)p$  production was implemented in the Forward Physics Monte Carlo (**FPMC**) event generator.

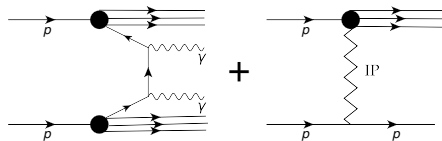






## Exclusive background (irreducible)

- SM light-by-light scattering;
- Small cross section ( $\sim 10^{-1}$  fb) for mass range accessible w/ proton taggers;
- Simulated in **FPMC**.

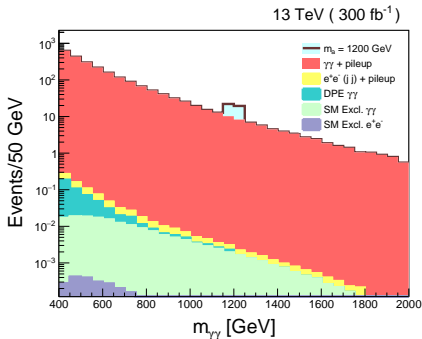


## Non-exclusive background (reducible)

- Non-exclusive diphoton production overlapped with diffractive protons from secondary interactions (pileup) is the **dominant background**.
- Fakes from jets and electrons (positrons) overlapped with diffractive protons.
- Reducible by matching **forward-central** kinematics.
- Simulated with **PYTHIA8**.

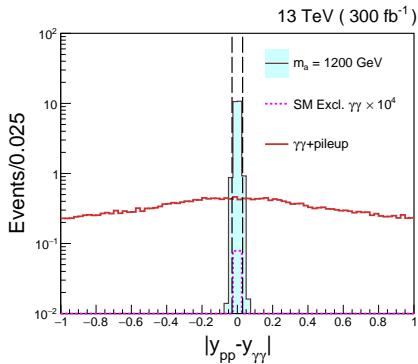
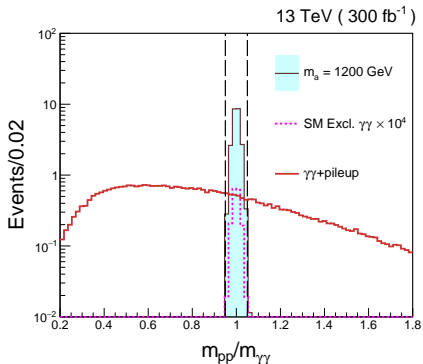
## Event selection

- Two photons with minimum  $p_T^\gamma > 100$  GeV and  $|\eta^\gamma| < 2.5$ ;
- Protons reconstructed on each side with  $0.015 \leq \xi \leq 0.15$ , where the proton taggers are efficient;
- Exclusive processes topology selection:
  - ▶  $|\Delta\phi_{\gamma\gamma} - \pi| < 0.01$  rad
  - ▶  $p_{T,2}^\gamma/p_{T,1}^\gamma > 0.95$
- Minimum diphoton invariant mass of  $m_{\gamma\gamma} > 600$  GeV; suppresses background with rate steeply falling  $m_{\gamma\gamma}$  rate.
- **Forward-central system matching:** strong rejection of non-exclusive processes!



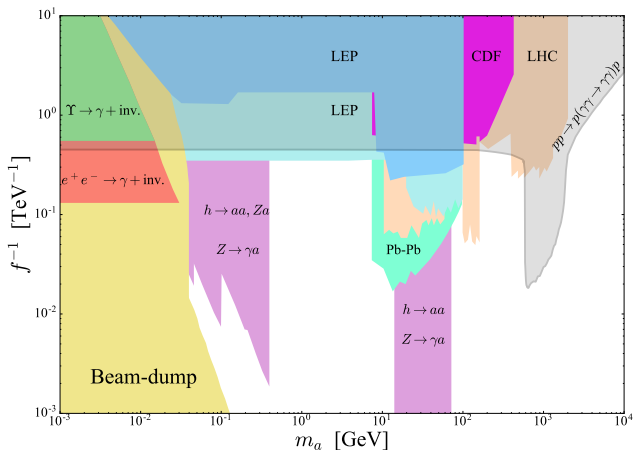
- Assume 300 fb<sup>-1</sup> of data for our projections in p-p collisions at 13 TeV w/ pileup of 50 interactions;
- Background dominated by inelastic diphoton production overlapped with diffractive protons (in red);
- Signal instance in cyan at  $m_a = 1.2$  TeV for  $f^{-1} = 0.1$  TeV<sup>-1</sup>;

# Exclusive selection



- Non-exclusive events can be rejected by comparing the kinematics of **forward** and **central** systems, leading to a **robust background suppression**;
- Ratio of  $m_{\gamma\gamma}$  with diphoton mass reconstructed with forward protons  $m_{pp} = \sqrt{s\xi_1\xi_2}$ , **exclusive processes peak at 1**;
- Compare rapidity reconstructed centrally  $y_{\gamma\gamma}$  with diphoton rapidity reconstructed with forward protons  $y_{pp} = \frac{1}{2} \log(\frac{\xi_1}{\xi_2})$ , **exclusive processes peak at 0**;

# Results



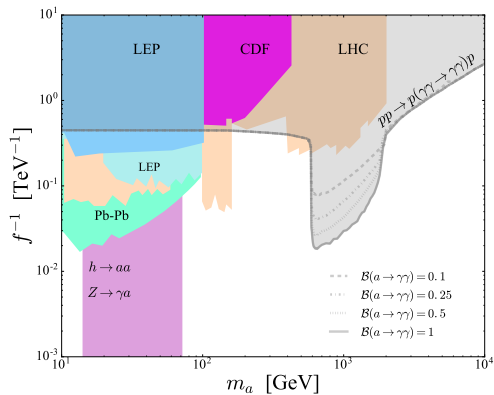
Expected 95% CL exclusion limit in central exclusive production assuming  $\mathcal{B}(a \rightarrow \gamma\gamma) = 1$ .  
**Strong exclusion power** for resonant ALP production in the collider-bounds region (down to  $1/f = 0.02 \text{ TeV}^{-1}$ )!

- We examined the possibility of searching for ALPs in central exclusive production of photon pairs in p-p collisions at 13 TeV for an integrated luminosity of  $300 \text{ fb}^{-1}$  with proton tagging;
- To quantify this, we implemented the helicity amplitudes for light-by-light scattering induced by effective dimension-five operators couplings to pseudo-scalars to photons in the FPMC generator;
- We found that the discovery potential is competitive with the standard multi-photon searches at the LHC for ALP masses between 600 GeV to 2 TeV;

Thank you!

# Back-up slides

# Results across branching ratios



Projections for various branching ratio assumptions.



We calculate our projections for the total signal rate over the whole mass range (0.6 to 2 TeV). We assume a set of observed data. Assume there are no statistical fluctuations in these imaginary data, dubbed as "Asimov data". The observed events follow a Poisson distribution. We have the likelihood function,

$$\mathcal{L}(\sigma) = Pr(n'|b + \sigma L)$$

$$Pr(\hat{n}|n) = \frac{n^{\hat{n}} e^{-n}}{\hat{n}!}$$

w/  $L = 300 \text{ fb}^{-1}$ . For this analysis, the expected number of events from background  $b$  is very small.

The posterior probability is  $\mathcal{L}(\sigma)\pi(\sigma)$  with flat prior  $\pi(\sigma)$ . We assume no event is observed  $n' = 0$ . The non-observation sets an upperbound on the signal event rate.

The higher posterior density region at  $1 - \alpha$  is solved analytically in this case, and is given by,

$$1 - \alpha = 1 - e^{-\sigma_{\alpha} L} \tag{1}$$

where  $\alpha = 0.05$  for 95% CL.

Sequential selection	ALP	Excl. SM	DPE $\gamma\gamma$	$e^+e^-$ / dijet +pileup	$\gamma\gamma$ + pile up
$[0.015 < \xi_{1,2} < 0.15,$ $p_{T1,(2)} > 200, (100) \text{ GeV}]$	23.1	0.1	0.1	1.2	1246
$m_{\gamma\gamma} > 600 \text{ GeV}$	23.1	0.06	0	0.1	440
$[p_{T2}/p_{T1} > 0.95,$ $ \Delta\phi^{\gamma\gamma} - \pi  < 0.01]$	23.1	0.06	0	0	35
$ m_{pp}/m_{\gamma\gamma} - 1  < 0.03$	21.8	0.06	0	0	1.2
$ y_{\gamma\gamma} - y_{pp}  < 0.03$	21	0.06	0	0	0.2

**Table 1.** Signal and background yields after applying the event sequential selections. For illustrative purposes, we choose an ALP with mass  $m_a = 1200 \text{ GeV}$  and a coupling value of  $f^{-1} = 0.1 \text{ TeV}^{-1}$ . We assume an integrated luminosity of  $300 \text{ fb}^{-1}$  an average of 50 additional interactions per bunch crossing at  $\sqrt{s} = 13 \text{ TeV}$ . Excl. stands for the exclusive backgrounds and DPE for double pomeron exchange background. Non-exclusive diphoton overlapped with soft diffractive protons (rightmost column) constitute the dominating background. The first two rows correspond to the diphoton offline preselection. The third row corresponds to the elastic selection. The last two rows correspond to the exclusive selection, with  $m_{pp} = \sqrt{\xi_1 \xi_2 s}$  and  $y_{pp} = \frac{1}{2} \log(\frac{\xi_1}{\xi_2})$ .