# Beyond the <br> <br> Standard Model <br> <br> Standard Model <br> (Except for SUSY) 

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## Outline for 3 Days

承 Extra Dimensions
\& Hidden Valleys/Quirks/Unparticles
\& Monopoles and EWSB

## Extra Dimensions

## Outline

\& Motivation: the Hierarchy Problem
\& ${ }^{6}$ ADD, Little Higgs

* RS, MCH, Higgless, Gaugephobic Higgs
\& Conclusions


## What's the problem?



Weisskopf Phys. Rev. 56 (1939) 72

## What's the problem?



Weisskopf Phys. Rev. 56 (1939) 72

## Electroweak Symmetry



## Electroweak Symmetry




SUSY


Technicolor

## Electroweak

## etry

 $m^{2}=\cdots \cdots$
## Hierarchy Problem Now


susy


Technicolor

## Hierarchy Problem Now

##  <br> SUSY <br> Extra <br> Dimensions <br> 

## Hierarchy Problem Now



## Hierarchy Problem Now



## Large Extra Dimensions

gravitons escape into the bulk

$$
M_{*}=1 \mathrm{TeV}
$$

Gravity gets strong at TeV missing Energy signatures

Arkani-Hamed, Dimopoulos, Dvali hep-ph/9803315

## n Large Extra Dimensions



Arkani-Hamed, Dimopoulos, Dvali hep-ph/9803315

# n Large Extra Dimensions 



$$
\begin{gathered}
M_{*}=1 \mathrm{TeV} \\
n=1 \Rightarrow L \sim 10^{13} \mathrm{~m} \\
n=2 \Rightarrow L \sim 1 \mathrm{~mm} \\
n=3 \Rightarrow L \sim 10^{-8} \mathrm{~m}
\end{gathered}
$$

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\end{gathered}
$$

## Little Hierarchy

\[

\]

Barbieri, Strumia hep-ph/0007265

## Precision Tests

new physics changes vacuum polarizations



# Precision Tests 

$$
\begin{gathered}
-\frac{g g^{\prime}}{16 \pi} S F_{\mu \nu}^{3} F_{B}^{\mu \nu} \\
-\frac{v^{2}}{4} T Z^{\mu} Z_{\mu}
\end{gathered}
$$

$$
\begin{gathered}
S=16 \pi \frac{d}{d q^{2}}\left(\Pi_{33}\left(q^{2}\right)-\Pi_{33}\left(q^{2}\right)\right) \\
T=\frac{\Delta \rho}{\alpha}=\frac{e^{2}}{\frac{s_{w}^{2}}{s_{W}^{2}}\left(\Pi_{11}(0)-\Pi_{33}(0)\right)}
\end{gathered}
$$

## Perturbative Estimate

degenerate fermions


$$
\operatorname{Tr} T_{L}^{3} Y_{L}=Y_{L} \operatorname{Tr} T_{L}^{3}=0
$$



$$
\operatorname{Tr} T_{L}^{3} Y_{R}=\frac{1}{2}\left(Y_{R}^{u}-Y_{R}^{d}\right)=\frac{1}{2}
$$

$$
S_{d e g .}=\frac{N}{6 \pi}
$$

## Perturbative Estimate

non-degenerate fermions

$$
\begin{gathered}
S=\frac{N}{6 \pi}\left(Y_{L} \ln \left(\frac{m_{u}^{2}}{m_{d}^{2}}\right)+1\right) \\
T=\frac{N}{16 \pi s_{W}^{2} M_{W}^{2}}\left(m_{u}^{2}+m_{d}^{2}-2 \frac{m_{u}^{2} m_{d}^{2}}{m_{u}^{2}-m_{d}^{2}} \ln \left(\frac{m_{u}^{2}}{m_{d}^{2}}\right)\right)
\end{gathered}
$$

for $m_{u} \gg m_{d}$

$$
T \approx \frac{N}{16 \pi s_{W}^{2}} \frac{m_{u}^{2}}{M_{W}^{2}}
$$

## Non-Perturbative

$$
\begin{aligned}
\mathcal{L}_{2} & =\frac{f_{\pi}^{2}}{4} \operatorname{Tr} D_{\mu} \Sigma^{\dagger} D^{\mu} \Sigma \\
\mathcal{L}_{4} & =L_{10} \operatorname{Tr} \Sigma^{\dagger} F_{L \mu \nu} \Sigma F_{R}^{\mu \nu}+\ldots
\end{aligned}
$$

measure $L_{10}$ in $\pi \rightarrow \gamma e \nu$

$$
S_{\text {non-pert. }} \approx 2 \times S_{\text {pert. }}
$$

for one doublet and $N=2$

$$
S \sim \frac{1}{3 \pi} \text { to } \frac{2}{3 \pi}=0.1 \text { to } 0.2
$$

Holdom, JT Phys. Lett. B 247 (1990) 88


## Custodial Symmetry

$$
\begin{aligned}
S U(2)_{L} \times U(1)_{Y} & \rightarrow U(1)_{e m} \\
S U(2)_{L} \times S U(2)_{R} & \rightarrow S U(2)_{D}
\end{aligned}
$$

custodial symmetry can forbid $T$
what symmetry can forbid $S$ ?

## Little Higgs

5D gauge boson has an extra polarization in 4D it is a scalar 5D gauge invariance keeps it massless
can we use this for the Higgs?

## Kaluza-Klein Modes






## Discrete Extra Dim.




## Two Sites

## Light



Heavy

$M_{\text {Heavy }} \sim f$

## Little Higgs

The "little hierarchy" problem is why is the Higgs light compared to a 10 TeV cutoff

If the Higgs is a Pseudo-Goldstone boson it should have a suppressed mass

If symmetry is restored when either of two interactions vanish

$$
m_{H}^{2} \propto g_{1}^{2} g_{2}^{2}
$$

No quadratic divergence at one loop

$$
\begin{gathered}
\text { Littlest figas } \\
S U(5) \rightarrow S O(5) \\
\left(5^{2}-1\right)-\frac{1}{2} 5 \cdot 4=14 \mathrm{~GB}^{\prime} \mathrm{s} \\
\Sigma(x)=e^{2 i \Pi / f}\left(\begin{array}{ccc} 
& & 1 \\
1 & & \\
1 & & \\
S U(2)_{1} & S U(2)_{2} \\
S U(2)_{1} \times S U(2)_{2} \rightarrow S U(2)_{L} \\
U(1)_{1} \times U(1)_{2} \rightarrow U(1)_{Y}
\end{array}\right.
\end{gathered}
$$

Arkani-Hamed, Cohen, Katz, Nelson hep-ph/0206021

## Littlest Higgs Mass



$$
H\left(s^{2}-\stackrel{2}{C}^{2}\right)
$$

$$
\underbrace{W_{L}}_{n} r^{W_{H}}
$$



## Top Partner


background
reach of 2 TeV
Azuelos et. al. hep-ph/0402037

## Low Energy Effects



$$
\Delta m_{H}^{2} \sim-\frac{3 \lambda_{t}^{2}}{2 \pi^{2}} f^{2}
$$

\% level fine tuning
Csaki, Hubisz, Kribs, Mead JT hep-ph/0211124

## T-Parity

$$
\begin{aligned}
S M & \rightarrow+S M \\
W_{H}, Z_{H}, A_{H}, \phi & \rightarrow-\left(W_{H}, Z_{H}, A_{H}, \phi\right)
\end{aligned}
$$

## bonus: dark matter candidate

Cheng, Low hep-ph/0308199

## UV Completion

one generation:

| a) | $S U(5)$ | $S U(2)_{3}$ | $U(1)_{3}$ | $\mathrm{~b})$ | $S U(5)$ | $S U(2)_{3}$ | $U(1)_{3}$ | $\mathrm{c})$ | $S U(5)$ | $S U(2)_{3}$ | $U(1)_{3}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $Q_{1}$ | $\square$ | 1 | $+2 / 3$ | $Q_{1}^{\prime}$ | $\square$ | 1 | $-2 / 3$ | $L_{1}$ | $\square$ | 1 | 0 |
| $Q_{2}$ | $\square$ | 1 | $+2 / 3$ | $Q_{2}^{\prime}$ | $\square$ | 1 | $-2 / 3$ | $L_{2}$ | $\square$ | 1 | 0 |
| $q_{3}$ | 1 | $\square$ | $-1 / 6$ | $q_{3}^{\prime}, q_{3}^{\prime \prime}$ | 1 | $\square$ | $+1 / 6$ | $\ell_{3}$ | 1 | $\square$ | $+1 / 2$ |
| $q_{4}$ | 1 | $\square$ | $-7 / 6$ | $q_{4}^{\prime}$ | 1 | $\square$ | $+7 / 6$ | $\ell_{4}$ | 1 | $\square$ | $-1 / 2$ |
| $q_{5}$ | 1 | $\square$ | $-7 / 6$ | $q_{5}^{\prime}$ | 1 | $\square$ | $+7 / 6$ | $\ell_{5}$ | 1 | $\square$ | $-1 / 2$ |
| $U_{R 1}$ | 1 | 1 | $-2 / 3$ | $U_{R 1}^{\prime}$ | 1 | 1 | $+2 / 3$ | $E_{R 1}$ | 1 | 1 | 0 |
| $U_{R 2}$ | 1 | 1 | $-2 / 3$ | $U_{R 2}^{\prime}$ | 1 | 1 | $+2 / 3$ | $E_{R 2}$ | 1 | 1 | 0 |
| $u_{R}$ | 1 | 1 | $-2 / 3$ |  |  |  |  | $e_{R}$ | 1 | 1 | +1 |
| $d_{R}$ | 1 | 1 | $+1 / 3$ |  |  |  |  | $\left(\nu_{R}\right.$ | 1 | 1 | $0)$ |

then add SUSY or
Warped Extra Dimensions
Csaki, Heinonen, Perelstein, Spethmann hep-ph/0804.0622

## Warped Throats

## Randall-Sundrum



## Randall-Sundrum

$$
d s^{2}=\left(\frac{R}{z}\right)^{2}\left(\eta_{\mu \nu} d x^{\mu} d x^{\nu}-d z^{2}\right)
$$

fermions


Planck
TeV
hep-ph/9905221

## Randall-Sundrum

$$
d s^{2}=\left(\frac{R}{z}\right)^{2}\left(\eta_{\mu \nu} d x^{\mu} d x^{\nu}-d z^{2}\right)
$$

| fermions |
| :---: |
| gauge bosons |$|$ Higgs

Planck
TeV

## Stabilization

## Planck

Goldberger, Wise hep-ph/9907218

## Stabilization




Planck

Goldberger, Wise hep-ph/9907218

## Stabilization




Planck TeV

Goldberger, Wise hep-ph/9907218

## Maldacena Conjecture



# Maldacena Conjecture 3-dimensional 



Four Dimensional strongly coupled SU(N) gauge theory<br>Low Energy<br>Large N, g ${ }^{2}$ N

# Maldacena Conjecture 3-dimensional 



# Maldacena Conjecture 3-dimensional 



Anti-de Sitter $\times$ Sphere
S5: $^{5} \quad R^{2}=x_{1}^{2}+x_{2}^{2}+x_{3}^{2}+x_{4}^{2}+x_{5}^{2}+x_{6}^{2}$


## Anti-de Sitter $\times$ Sphere

 S5: $^{5} \quad R^{2}=x_{1}^{2}+x_{2}^{2}+x_{3}^{2}+x_{4}^{2}+x_{5}^{2}+x_{6}^{2}$
$\mathrm{AdS}_{5}:-R^{2}=-u v-x_{1}^{2}+x_{2}^{2}+x_{3}^{2}+x_{4}^{2}$


## Gauge KK Modes

$$
\left(\partial_{z}^{2}-\frac{1}{z} \partial_{z}+q^{2}\right) \psi(z)=0
$$



Planck
TeV

## Gauge KK Modes



Planck
TeV

## Bulk fermions

$$
\begin{aligned}
& S_{b u l k, f}= \int d^{5} x\left(\frac{R}{z}\right)^{4}\left(-i \bar{\chi} \bar{\sigma}^{\mu} \partial_{\mu} \chi-i \psi \sigma^{\mu} \partial_{\mu} \bar{\psi}\right. \\
&\left.+\frac{1}{2}\left(\psi \overleftrightarrow{\partial_{z}} \chi-\bar{\chi} \overleftrightarrow{\partial_{z}} \bar{\psi}\right)+\frac{c}{z}(\psi \chi+\bar{\chi} \bar{\psi})\right) \\
& \chi=g(p z) \chi_{4} \\
& \bar{\psi}=f(p z) \bar{\psi}_{4} \\
& g(p z)= z^{\frac{5}{2}}\left(A(p) J_{c+\frac{1}{2}}(p z)+B(p) J_{-c-\frac{1}{2}}(p z)\right) \\
& f(p z)= z^{\frac{5}{2}}\left(A(p) J_{c-\frac{1}{2}}(p z)+B(p) J_{-c+\frac{1}{2}}(p z)\right)
\end{aligned}
$$

## Fermion KK modes

$$
\begin{aligned}
\chi= & \sum_{n} g_{n}(z) \chi_{n}(x) \quad \psi=\sum_{n} f_{n}(z) \psi_{n}(x) \\
& f_{n}^{\prime}+m_{n} g_{n}-\frac{c+2}{z} f_{n}=0 \\
& g_{n}^{\prime}-m_{n} g_{n}+\frac{c-2}{z} g_{n}=0
\end{aligned}
$$

zero modes:

$$
\begin{aligned}
& f_{0}=C_{0}\left(\frac{z}{R}\right)^{c+2} \\
& g_{0}=A_{0}\left(\frac{z}{R}\right)^{2-c}
\end{aligned}
$$

## Fermion KK modes

coefficient of zero mode kinetic term

$$
\begin{gathered}
\chi^{\dagger} \bar{\sigma}^{\mu} \partial_{\mu} \chi \\
\int_{R}^{R^{\prime}} d z z^{-2 c} \sim R^{\prime 1-2 c}-R^{1-2 c} \\
R^{\prime} \rightarrow \infty \quad R \rightarrow 0 \\
\text { converges: } \begin{array}{c}
c>1 / 2
\end{array} \quad c<1 / 2 \\
\text { localized on } \quad \text { localized on } \\
\text { Planck brane } \quad \text { TeV brane }
\end{gathered}
$$

## Randall-Sundrum



Drell-Yan graviton production
Davoudiasl, Hewett, Rizzo hep-ph/0006041

## Randall-Sundrum


make gauge resonances heavy, but then doesn't solve the "little hierarchy" problem

$$
\begin{aligned}
& \Delta m_{H}^{2}=\frac{3 \lambda_{t}^{2}}{8 \pi^{2}}(10 \mathrm{TeV})^{2} \\
& \sim 3.8 \mathrm{TeV}^{2} \\
& m_{H}^{2} \sim 0.01 \mathrm{TeV}^{2} \\
& 0.3 \% \text { fine tuning }
\end{aligned}
$$

## Gauge-Higgs Unification



Planck
TeV

Agashe, Contino, Pomarol hep-ph/0412089

## Minimal

## Composite Higgs



Planck
TeV

$$
\partial_{z}\left(A_{5} / z\right)=0 \text {, zero mode } \sim 4 \text { of } S O(4)
$$

Agashe, Contino, Pomarol hep-ph/0412089

## New Custodial Symmetry

to protect $Z b \bar{b}$

$$
\begin{gathered}
O(4) \sim S U(2)_{L} \times S U(2)_{R} \times P_{L R} \\
T_{L}=T_{R}, \quad T_{R}^{3}=T_{L}^{3} \\
Q_{L+R} \text { charge is protected } \\
\delta Q_{L}+\delta Q_{R}=0, \quad \delta Q_{L}=\delta Q_{R}
\end{gathered}
$$

$$
\delta Q_{L}=0
$$

Agashe, Contino, Da Rold, Pomarol hep-ph/0605341 Carena, Ponton, Santiago, Wagner hep-ph/0701055

## New Custodial Symmetry

$$
\begin{gathered}
S U(2)_{L} \times S U(2)_{R} \times U(1)_{X} \\
Y=T_{R}^{3}+X, Q=T_{L}^{3}+Y \\
\Psi_{L} \\
\Psi_{R} \\
\sim(\mathbf{2}, \mathbf{2})_{2 / 3} \\
t_{R}
\end{gathered} \begin{gathered}
\sim(\mathbb{1}, \mathbf{3})_{2 / 3} \\
\Psi_{L}=\left(\begin{array}{cc}
t & T \\
b & \tilde{t}
\end{array}\right)_{L}, \quad \Psi_{R}=\left(\begin{array}{c}
T \\
\tilde{t} \\
b
\end{array}\right)_{R}, t_{R}
\end{gathered}
$$

T has charge $5 / 3$

## Custodial † Partner



Contino, Servant hep-ph/0801.1679

## Custodial † Partner



Contino, Servant hep-ph/0801.1679

## Fine Tuning for EWSB




Csaki, Falkowski, Weiler hep-ph/0801.1679

## Decoupling the Higgs <br> $$
\partial_{z} \psi(z)=-\frac{g_{5}^{2} v^{2}}{2} \psi(z)
$$




## Decoupling the Higgs <br> $$
\partial_{z} \psi(z)=-\frac{g_{5}^{2} v^{2}}{2} \psi(z)
$$




Higgs decouples from scattering as $v \rightarrow \infty$

## Going Higgsless

$$
S U(2)_{L} \times S U(2)_{R} \times U(1)_{B-L}
$$



Planck
TeV
hep-ph/0305237, hep-ph/0308038

## Model Landscape



## WW Scattering amplitude grows like $E^{4}$


contact interaction


s channel exchange


## WW Scattering

5D gauge invariance:

$$
\begin{aligned}
g_{n n n n}^{2} & =\sum_{k} g_{n n k}^{2} \\
4 g_{n n n n}^{2} M_{n}^{2} & =3 \sum_{k} g_{n n k}^{2} M_{k}^{2}
\end{aligned}
$$

cancels $E^{4}$ and $E^{2}$ terms

## Precision Electroweak



Planck
TeV

## Precision Electroweak



Planck
TeV
hep-ph/0308036, hep-ph/0203034

## Precision Electroweak



Planck
TeV

Cacciapaglia, Csaki, Grojean JT hep-ph/0409126

## Fine Tuning for Small S


fermion localization parameter

## Why Build the LHC?

## WW Scattering Amplitude



## Why Build the LHC?

WW Scattering Amplitude


## Why Build the LHC?

WW Scattering Amplitude
too heavy, too late


## LHC Signal



Birkedal, Matchev, Perelstein hep-ph/0412278

## Drell-Yan



## Gauge-Phobic Higgs

AdS/CFT: a localized Higgs $\rightarrow \mathcal{O}$ with $d[\mathcal{O}]=\infty$ $d[\mathcal{O}]$ finite $\rightarrow$ Higgs profile in bulk, finite VEV

Higgs profile in Bulk, finite VEV Higgs has suppressed couplings

Cacciapaglia, Csaki, Marandella, JT hep-ph/0611358

## Missing the Higgs



## G-Phobic Phenomenology

Production: $\dagger \dagger$ (bb) associated production and Drell-Yan


WW: rescale Higgs studies, $\sim 5 \sigma$ significance after $10 \mathrm{fb}^{-1}$
Leptons: fewer events but clean

Cacciapaglia, Marandella

## Gaugephobic Higgs



dashed lines: gaugephobic Higgs extremely difficult at LHC

Cacciapaglia, Csaki, Marandella, JT hep-ph/0611358

## Gaugephobic Signal



Galloway, McElrath, McRaven, JT hep-ph/0908.0532

## Conclusions

all the proposed solutions to the hierarchy problem are fine tuned

probably are other ways to address the hierarchy problem

luckily Nature is smarter than us, and will soon tell us the answer

if we ask the right questions

## Duality for SUSY QCD



## Toy-Model of EWSB

|  | $S U(2)_{\mathrm{SC}}$ | $S U(2)_{L}$ | $S U(2)_{R}$ | $U(1)$ | $U(1)_{R}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $T_{L}$ | $\square$ | $\square$ | $\mathbf{1}$ | 1 | 0 |
| $T_{R}$ | $\square$ | $\mathbf{1}$ | $\square$ | -1 | 0 |
| $H$ | $\mathbf{1}$ | $\square$ | $\square$ | 0 | 1 |
| $S_{L}$ | $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{1}$ | -2 | 2 |
| $S_{R}$ | $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{1}$ | 2 | 2 |

$$
W=\lambda_{L} S_{L} T_{L} T_{L}+\lambda_{R} S_{R} T_{R} T_{R}+\lambda_{H} H T_{L} T_{R}+\frac{1}{2} \mu H H
$$

$$
U(1)_{Y} \subset S U(2)_{R}, Y \propto \tau_{3 R}
$$

Two colors with Two flavors

## Confinement

|  | $S U(2)_{L}$ | $S U(2)_{R}$ | $U(1)$ | $U(1)_{R}$ |
| :---: | :---: | :---: | :---: | :---: |
| $\Pi \sim\left(T_{L} T_{R}\right)$ | $\square$ | $\square$ | 0 | 0 |
| $B_{L} \sim\left(T_{L} T_{L}\right)$ | $\mathbf{1}$ | $\mathbf{1}$ | 2 | 0 |
| $B_{R} \sim\left(T_{R} T_{R}\right)$ | $\mathbf{1}$ | $\square$ | -2 | 0 |
| $H$ | $\square$ | $\square$ | 0 | 1 |
| $S_{L}$ | $\mathbf{1}$ | $\mathbf{1}$ | -2 | 2 |
| $S_{R}$ | $\mathbf{1}$ | $\mathbf{1}$ | 2 | 2 |

$$
W_{\mathrm{eff}}=f\left[\lambda_{L} S_{L} B_{L}+\lambda_{R} S_{R} B_{R}+\lambda_{H} H \Pi\right]+\frac{1}{2} \mu H H
$$

## Confinement with XSB

$$
\begin{gathered}
\operatorname{det}(\Pi)-B_{L} B_{R}=\frac{1}{2} f^{2} \\
f=\frac{\Lambda}{4 \pi} \\
W_{\text {eff }}=f\left[\lambda_{L} S_{L} B_{L}+\lambda_{R} S_{R} B_{R}+\lambda_{H} H \Pi\right]+\frac{1}{2} \mu H H \\
\Pi^{j}{ }_{k}=\frac{1}{\sqrt{2}}\left(\Pi_{0} \mathbf{1}_{2}+i \Pi_{A} \tau_{A}\right)^{j}{ }_{k} \\
\operatorname{det}(\Pi)=\frac{1}{2}\left(\Pi_{0}^{2}+\Pi_{A} \Pi_{A}\right) \\
\Pi_{0}=\left(f^{2}+2 B_{L} B_{R}-\Pi_{A} \Pi_{A}\right)^{1 / 2}
\end{gathered}
$$

## Confinement with XSB

equations of motion:

$$
\begin{aligned}
H_{0} & =-\frac{\lambda_{H} f}{\mu} \Pi_{0} \\
f \lambda_{H} \Pi_{A} & =-\mu H_{A} \\
H_{0} \Pi_{A} & =H_{A} \Pi_{0}
\end{aligned}
$$

3 linear combinations of $\Pi_{A}$ and $H_{A}$
are undetermined: Goldstone Bosons

## Fat Higgs

$$
\begin{aligned}
& W=\lambda_{L} S_{L} T_{L} T_{L}+\lambda_{R} S_{R} T_{R} T_{R}+\lambda_{H} H T_{L} T_{R}+\frac{1}{2} y\left(S_{L}+S_{R}\right) H H \\
&\left\langle H_{0}\right\rangle=\left(\frac{2 \lambda_{L} \lambda_{R}}{9 y^{2}}\right)^{1 / 4} f \\
&\left\langle S_{L}\right\rangle=\left\langle S_{R}\right\rangle= \pm \lambda_{H}\left(\frac{2}{9 y^{2} \lambda_{L} \lambda_{R}}\right)^{1 / 4} f \\
&\left\langle B_{L}\right\rangle=-\left(\frac{\lambda_{R}}{18 y^{2} \lambda_{L}}\right)^{1 / 2} f \\
&\left\langle B_{R}\right\rangle=-\left(\frac{\lambda_{L}}{18 y^{2} \lambda_{R}}\right)^{1 / 2} f
\end{aligned}
$$

## Luty, JT, Grant hep-ph/0006224

 Murayama, Harnik, Kribs, Larsen hep-ph/0311349