

Fiducial differential comparisons  
(and combinations)  
of ATLAS and CMS results

*Example: recent  $ZZ \rightarrow \ell^+ \ell^- \ell'^+ \ell'^-$  measurements*

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We want:

**minimum model dependence** → no extrapolation

**competition and complementarity**: each experiment's strengths → no pre-agreed common fiducial definition

→ So “intrapolate” instead to the intersection of the experiments' fiducial phase spaces!

Intrapolation matrix  $I$  relating the histogram  $c$  in the intersecting phase space to that in the experiment's phase space,  $e$

$$c_i = I_{ij} e_j \quad (1)$$

$$I_{ij} = M_{ij} \varepsilon_j \phi_i \quad (2)$$

$M_{ij}$  describes the *bin migrations*:

$$M_{ij} = \frac{P(\text{in intersection bin } i \cap \text{in experiment bin } j)}{\sum_{i'} P(\text{in intersection bin } i' \cap \text{in experiment bin } j)} \quad (3)$$

$\varepsilon_j$  is like an *efficiency*:

$$\begin{aligned} \varepsilon_j &= \frac{\sum_{i'} P(\text{in intersection bin } i' \cap \text{in experiment bin } j)}{P(\text{in experiment bin } j)} \\ &= P(\text{in any intersection bin} \mid \text{in experiment bin } j) \leq 1 \end{aligned} \quad (4)$$

$\phi_i$  corrects for events falling in the “intersection”, but not the experiment's phase space (only possible if it's not truly the intersection!):

$$\phi_i = \frac{P(\text{in intersection bin } i)}{\sum_j P(\text{in intersection bin } i \cap \text{in experiment bin } j)} \geq 1 \quad (5)$$

Input:

ATLAS measurement [1709.07703]

CMS measurement [1709.08601]

Ideally joint phase space = ATLAS  $\cap$  CMS,  
but this is not always practical

Here: CMS pairing algorithm is used, which does not select a subset of events of those selected by the ATLAS pairing algorithm

But almost!

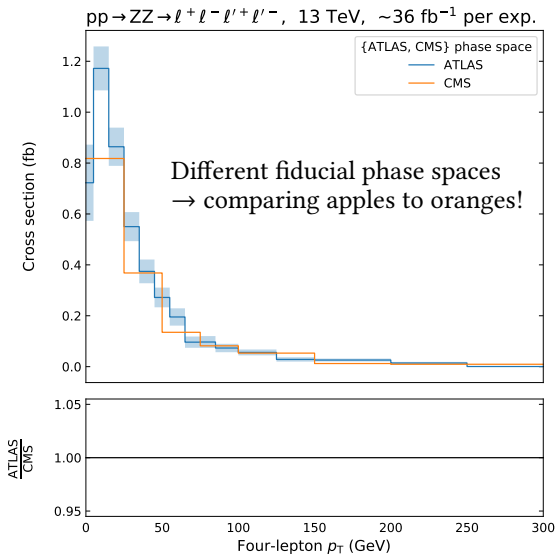
## Binnings in GeV:

ATLAS	0, 5, 15, 25, 35, 45, 55, 65, 75, 85, 100, 125, 150, 200, 250, 1500
CMS	0, 25, 50, 75, 100, 150, 200, 300
Combined	0, 25, <u>50</u> , 75, 100, 150, 200, <u>300</u>

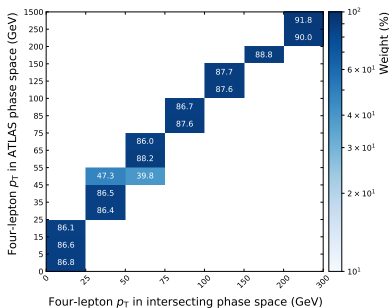
## Challenges:

ATLAS published  $\frac{d\sigma}{dx}$ , CMS published  $\frac{1}{\sigma} \frac{d\sigma}{dx}$

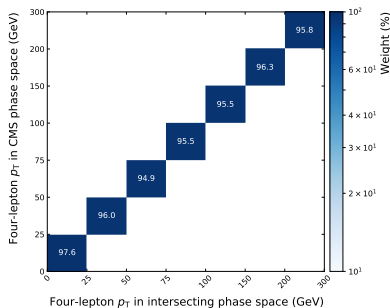
I quickly read CMS data off plots with exponential y-axes  
– very inaccurate (*apologies!*)



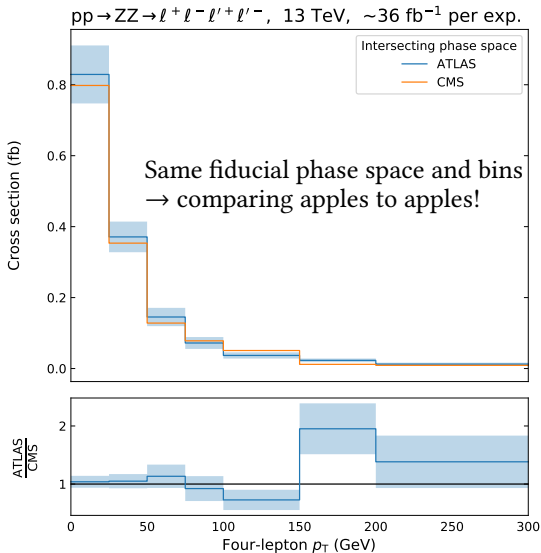
## ATLAS $\rightarrow$ intersection



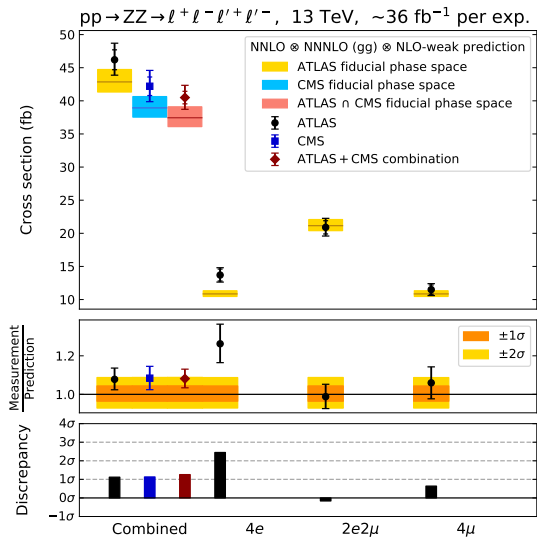
## CMS $\rightarrow$ intersection



Using SHERPA  $pp \rightarrow \ell^+ \ell^- \ell'^+ \ell'^- + \{0, 1\} \text{ jets @ NLO} + \{2, 3\} \text{ jets @ LO}$







Project repository  
Full details in my [thesis](#)

Get CMS data from HepData (or similar) ;)

Combine ATLAS  $\oplus$  CMS: fit to intrapolated curves

Careful treatment of uncertainties:

- Correlations between bins

- Correlations between experiments

Intrapolate the different channels (4e, 2e2 $\mu$ , 4 $\mu$ ) separately, then sum (neither experiment published channels separately)

Use best theory predictions to calculate the intrapolation matrices

Agree on *some* common bin edges beforehand (could have alternative binning for auxiliary materials & HepData)

*The EWWG can help with many of the above!*