

# Simulations for FCC-ee beam self-polarization

E. Gianfelice (Fermilab)

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Goal since October Workshop: a complete simulation of the effect of misalignments.

Optics: 45 GeV optics with smaller  $\beta_y^*$  from September 2017

- 60 deg FODO.
- $\hat{\beta}_y$  is smaller but focusing is stronger too.
- As a consequence, the SY sextupoles became stronger and life did not become easier.

Reminder from December 14 meeting: two (more) problems encountered i.e.

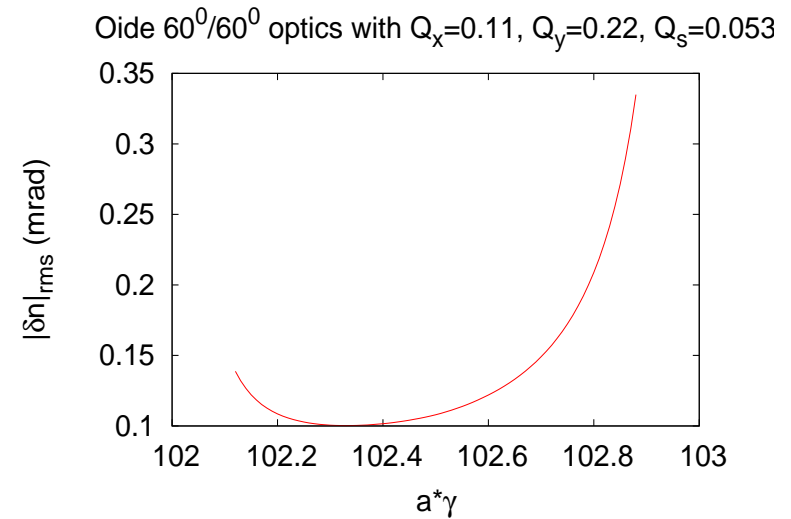
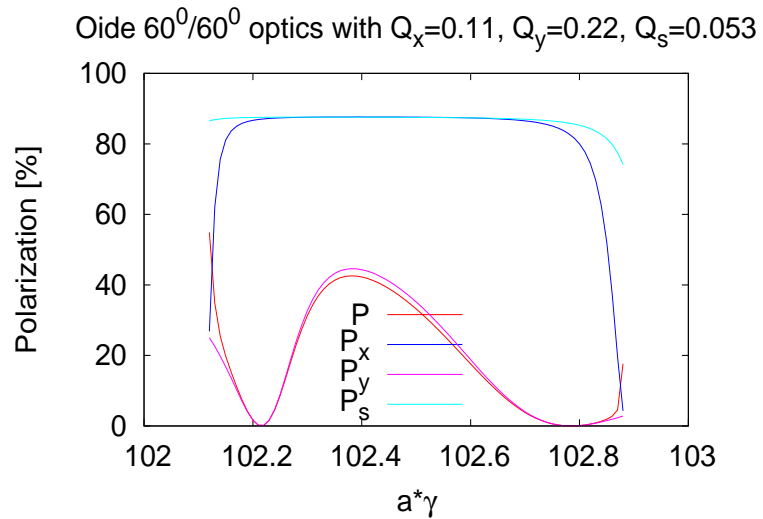
- Small  $\epsilon_y$  and  $D_{rms}^y$  is no warranty for high (linear?) polarization
- Problems by tracking with SITROS (and MAD-X PTC) (particles losses) even reducing alignment errors, skipping errors on IR quads and BPM.  
     $\rightsquigarrow$  back to 90/90 optics.

In the meantime....

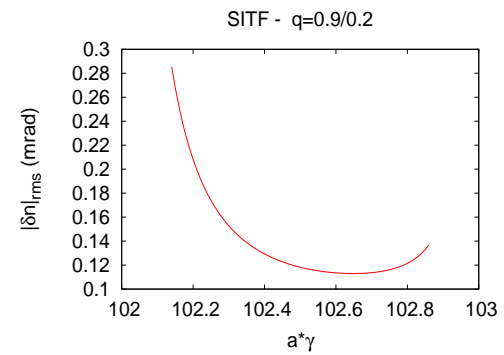
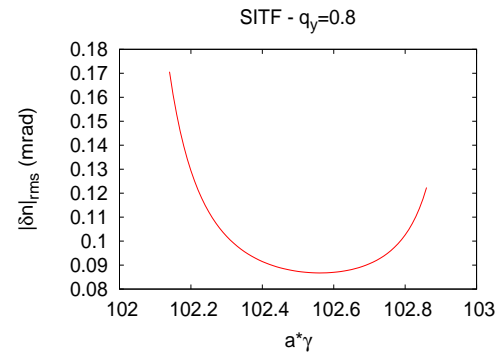
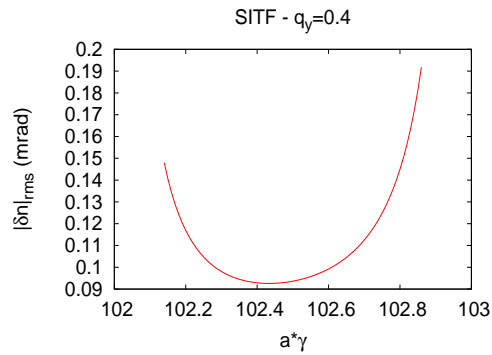
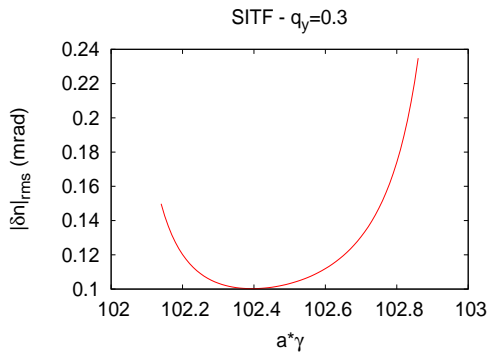
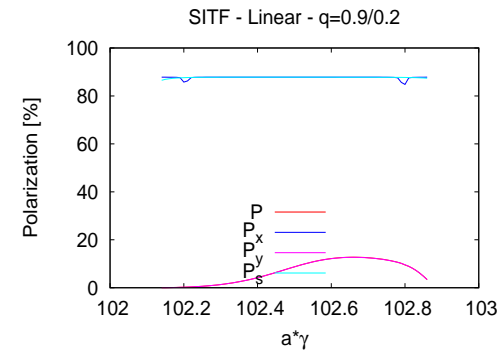
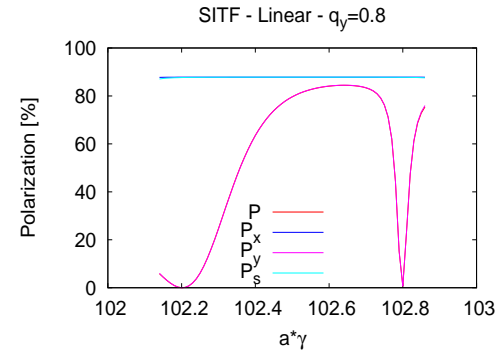
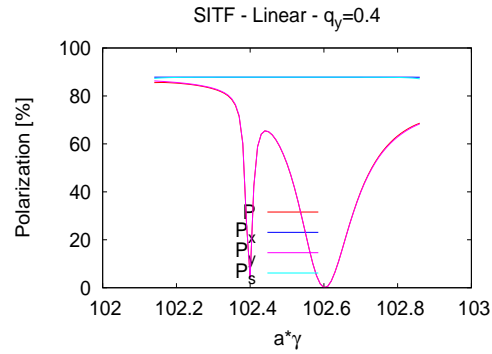
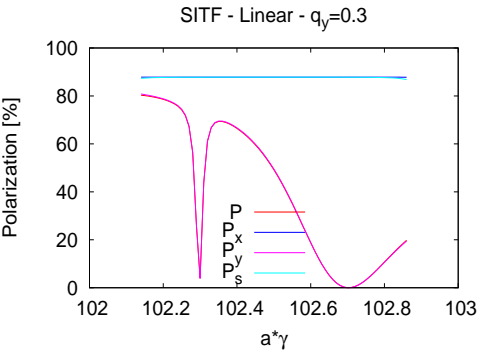
- After switching to the January optics version, the tracking problem disappeared!
- Therefore I am skipping almost all results obtained between December and now using the October version.

Some optics show a small  $P_y$  although  $\epsilon_y$  and  $D_y$  are small.

An example (October 2017 60/60 deg optics):



# Tune scan



Why is 0.1/0.8 better then 0.1/0.2 ?

Linear approximation for spin diffusion:

$$\frac{\partial \hat{n}}{\partial \delta}(\vec{u}; s) = \vec{d}(s) = \frac{1}{2} \Im \left\{ (\hat{m}_0 + i\hat{l}_0)^* \sum_{k=\pm x, \pm y, \pm s} \Delta_k \right\}$$

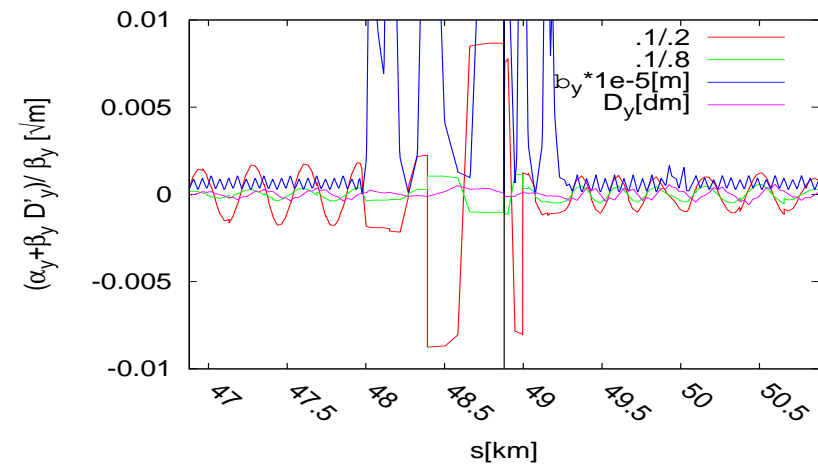
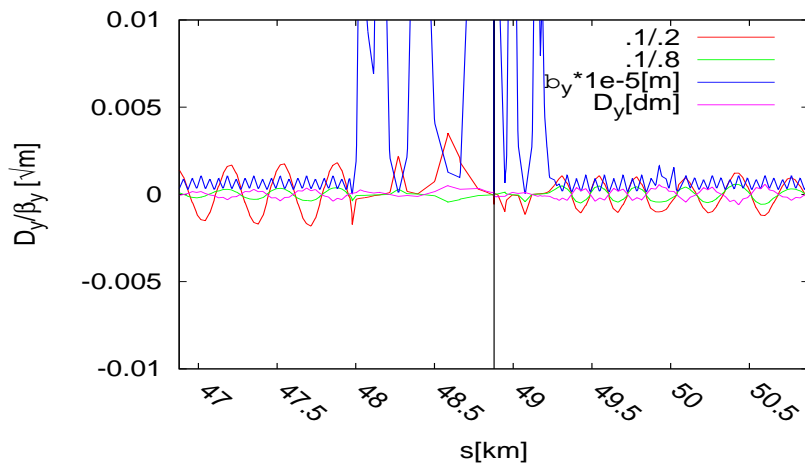
$$\Delta_{\pm x, \pm y} = (1 + a\gamma) \frac{e^{\mp i\mu_{x,y}}}{e^{2i\pi(\nu \pm Q_{x,y})} - 1} \frac{[-D \pm i(\alpha D + \beta D')]_{x,y}}{\sqrt{\beta_{x,y}}} J_{x,y}$$

$$\Delta_{\pm s} = (1 + a\gamma) \frac{e^{\pm i\mu_s}}{e^{2i\pi(\nu \pm Q_s)} - 1} J_s$$

$$J_{\pm x, \pm y} = \int_s^{s+L} ds' (\hat{m}_0 + i\hat{l}_0) \cdot \left\{ \begin{array}{c} \hat{y} \sqrt{\beta_x} \\ \hat{x} \sqrt{\beta_y} \end{array} \right\} K e^{\pm i\mu_{x,y}}$$

$$J_s = \int_s^{s+L} ds' (\hat{m}_0 + i\hat{l}_0) \cdot (\hat{y} D_x + \hat{x} D_y) K$$

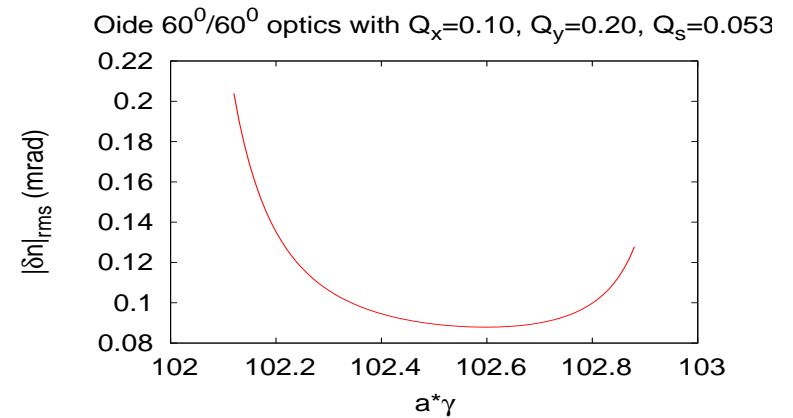
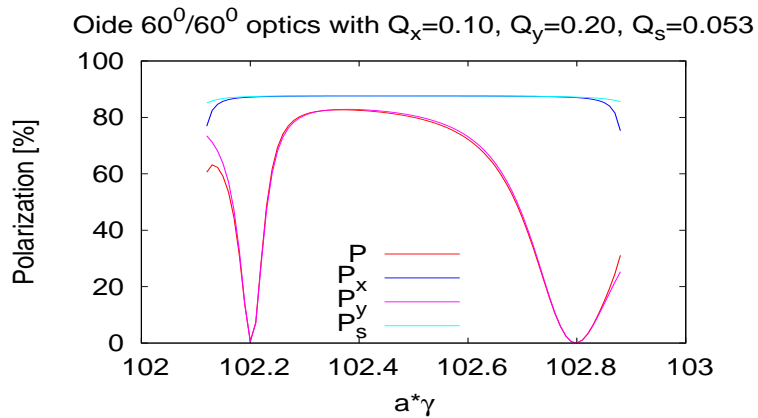
Plotting the factor  $\frac{[-D_y \pm i(\alpha_y D_y + \beta D'_y)]}{\sqrt{\beta_y}}$  which multiplies  $J_{\pm y}$ :



The factor is much smaller when the tunes are moved to .1/.8

→ Instead of correcting linear coupling and spurious vertical dispersion, we should try minimizing  $[-D_y \pm i(\alpha_y D_y + \beta D'_y)] / \beta_y$ .

Found skew quadrupole settings improving  $\Delta_{\pm y}$  at expenses of betatron coupling with .1/.2 tunes:



	$x_{rms}$ ( $\mu\text{m}$ )	$y_{rms}$ ( $\mu\text{m}$ )	$D_{rms}^y$ (mm)	$\epsilon_x$ (nm)	$\epsilon_y$ (pm)	$ C^- $
no skews	41	16	12	0.222	12	0.017
with	40	17	7	0.220	5	0.022

But...problems with SITROS tracking: no equilibrium found, many particles “lost”!



\*\*\*\*\* Start excursus on tracking \*\*\*\*\*

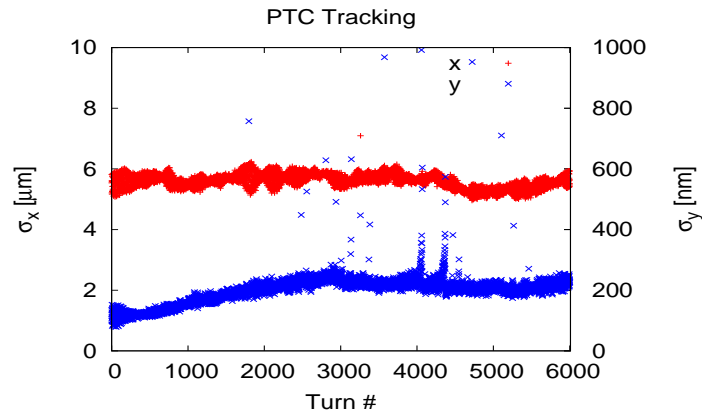
## Tracking problems - Comparison with MAD-X PTC

October 60/60 deg optics.

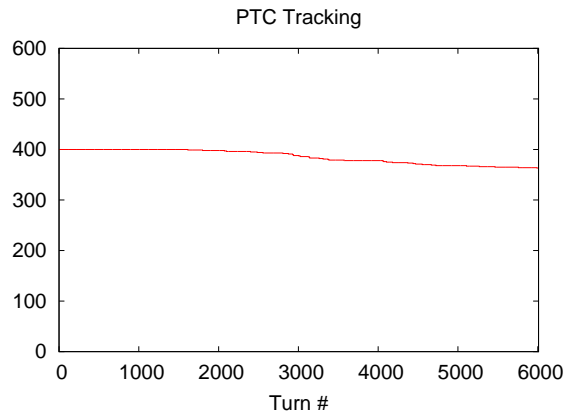
Very last suggestions from Tobias (February 20, 2018)

```
ptc_create_universe;  
PTC_CREATE_LAYOUT, MODEL=2, NST=1, METHOD=4, exact=true, resplit, thin=0.001, xbend=0.001;  
ptc_align;  
PTC_SETSWITCH, debuglevel=1,maxacceleration=false,exact_mis=true,time=true,  
  totalpath=false,fringe=true,radiation=true,stochastic=true,-envelope=true;  
PTC_TWISS, ICASE=6, CLOSED_ORBIT, NO=2, RMATRIX;  
ptc_start, x=-.765E-05, y= -.138E-07, px=0.359E-05, py= -.335E-04;  
!call, file="my_ptcstart_gauss.dat";  
PTC_TRACK, ICASE=6, CLOSED_ORBIT, RADIATION,dump, turns=1000, ffile=1;  
PTC_TRACK_END;  
|stop;
```

# Results for the machine with errors and 8 wigglers

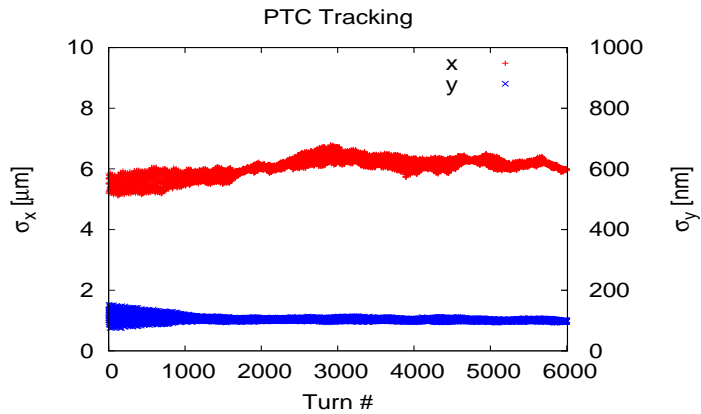


	$\sigma_x$	$\sigma_y$
	( $\mu\text{m}$ )	(nm)
analytical	5.8	78
PTC Tracking	$\simeq 5.6$	$\simeq 230$

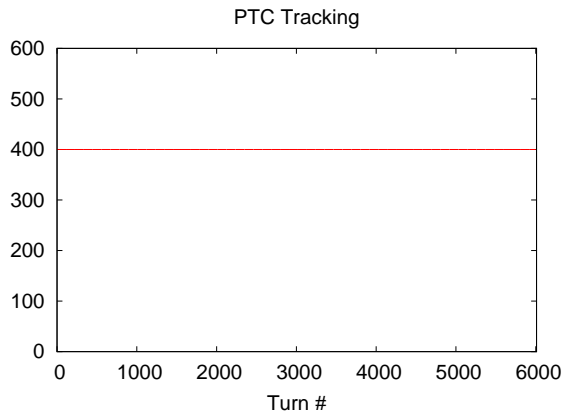


$\leadsto$  PTC tracking confirms a disease in the vertical plane, not as serious as SITROS tracking?

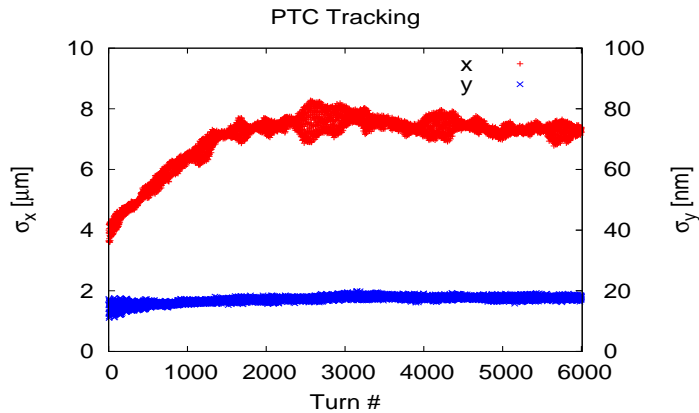
# Repeat tracking for the perturbed machine after turning wigglers off



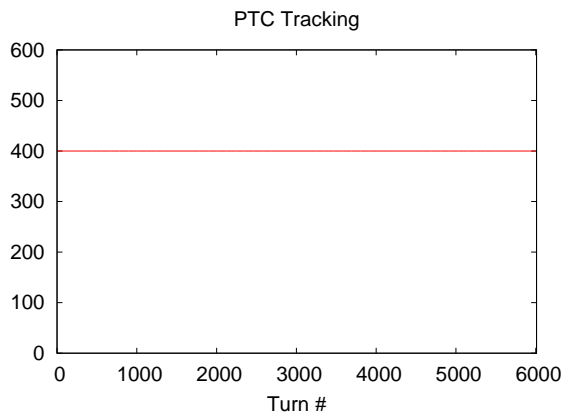
	$\sigma_x$	$\sigma_y$
	( $\mu\text{m}$ )	(nm)
analytical	6.3	69.5
PTC Tracking	$\simeq 6$	$\simeq 97$



Repeat tracking for the perturbed 90/90 optics with wigglers on ( $\tau_{10\%} = 2.8$  h)



	$\sigma_x$	$\sigma_y$
	( $\mu\text{m}$ )	(nm)
analytical	7.8	18.9
PTC Tracking	$\simeq 7.3$	$\simeq 18$



\*\*\*\*\* End excursus on tracking \*\*\*\*\*

In the past I used  $\delta_Q^y = 200 \mu\text{m}$ . After introducing quads horizontal misalignments and roll angles as well as BPM errors, misalignments had to be decreased to get a stable optics.

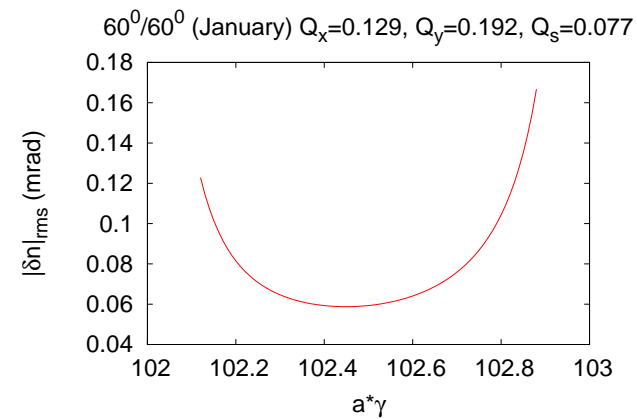
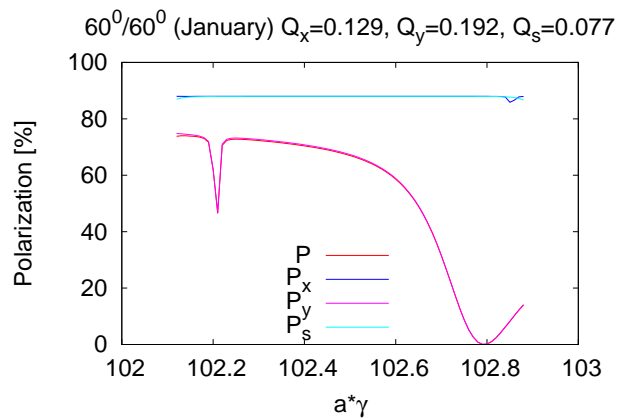
Set of errors assumed (but very limited statistics!)

	IR Quads	IR BPMs	other Quads	other BPMs
$\delta x$ ( $\mu\text{m}$ )	10	10	30	30
$\delta y$ ( $\mu\text{m}$ )	10	10	30	30
$\delta\theta$ ( $\mu\text{rad}$ )	10	10	30	30
calibration	-	1%	-	1%

New January 45 GeV optics, 8 wigglers,  $\tau_{10\%}=2.7$  h with  $B^+=0.568$  T.

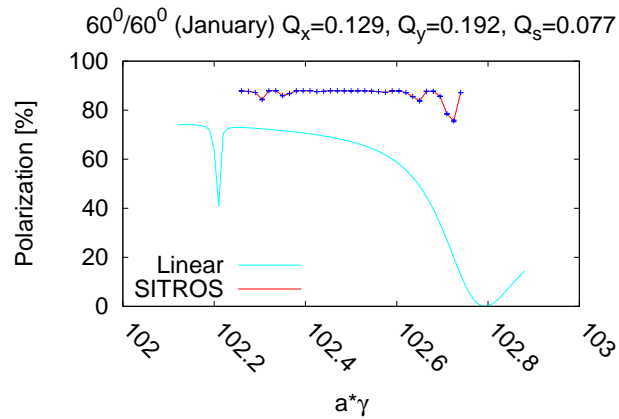
One error realization.

	$x_{rms}$	$y_{rms}$	$D_{rms}^y$	$\epsilon_x$	$\epsilon_y$	$ C^- $
	( $\mu\text{m}$ )	( $\mu\text{m}$ )	(mm)	(nm)	(pm)	
no skews	26	13	2	0.215	0.5	0.0014



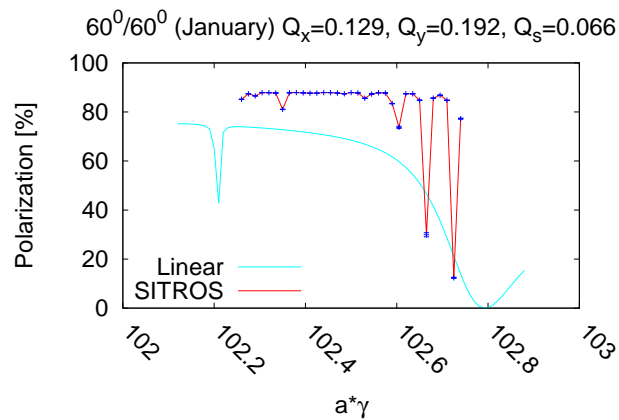
$P_y$  limiting polarization, but  $P_{lin}$  large enough.

V=840 MV



	$\sigma_x$	$\sigma_y$	$\sigma_l$
	( $\mu\text{m}$ )	(nm)	(mm)
analytical	5.714	23.0	3.356
SITROS Tracking	8.526	23.8	3.439

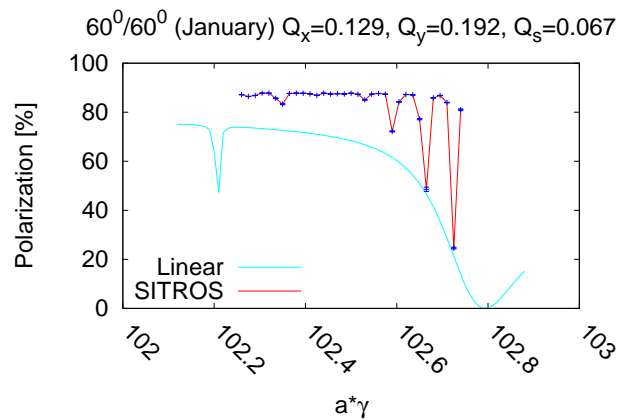
V=620 MV



	$\sigma_x$	$\sigma_y$	$\sigma_l$
	( $\mu\text{m}$ )	(nm)	(mm)
analytical	5.716	23.9	3.909
SITROS Tracking	8.629	43.6	3.890

Tracking shows larger polarization...

The wiggler field may be increased to  $B^+ = 0.664$  T to obtain  $\tau_{10\%} = 1.7$  h



$V=700$  MV

	$\sigma_x$	$\sigma_y$	$\sigma_l$
	( $\mu\text{m}$ )	(nm)	(mm)
analytical	5.803	27.4	4.398
SITROS Tracking	9.602	38	4.461



## Polarization – 80 GeV

New January 80 GeV optics, no wigglers.

Tunes in presence of synchrotron radiation for the unperturbed machine:

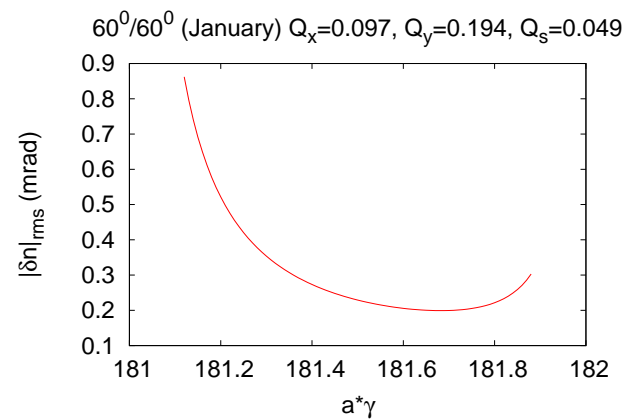
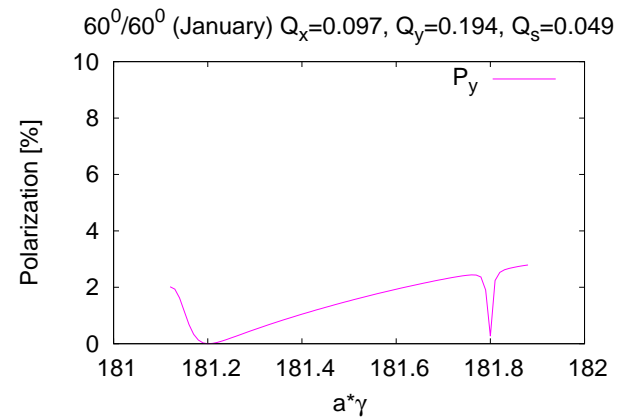
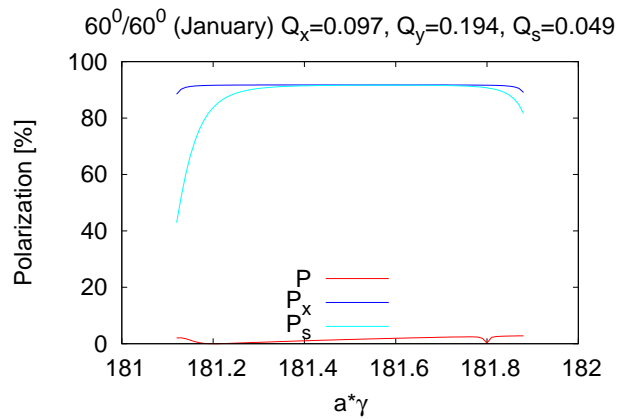
	MADX	SITF	MADX	SITF	MADX	SITF
	S.R. off		S.R. on		S.R. on & SEXTS off	
$Q_x$	269.100	.100	269.138	.138	269.100	.101
$Q_y$	269.200	.200	269.128	.129	269.200	.196

Large feed-down effect of sextupoles!

One error realization:

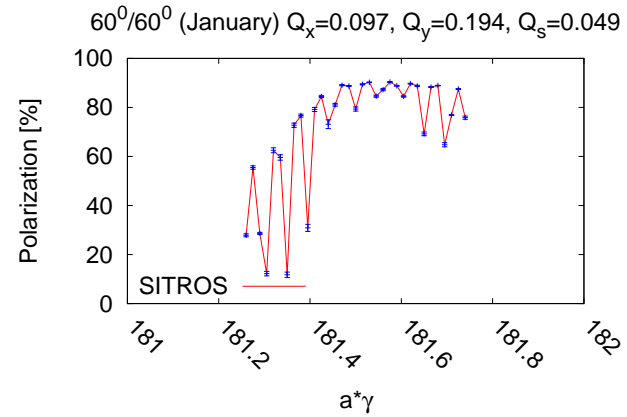
	$x_{rms}$	$y_{rms}$	$D_{rms}^y$	$\epsilon_x$	$\epsilon_y$	$ C^- $
	( $\mu\text{m}$ )	( $\mu\text{m}$ )	(mm)	(nm)	(pm)	
no skews	144	11	2	0.792	0.1	< 0.001

# Tunes adjusted taking into account sextupole effect.



- Is it there again a problem with  $\frac{[-D_y \pm i(\alpha_y D_y + \beta D'_y)]}{\sqrt{\beta_y}}$  ?
- Is  $P_{lin}$  relevant?

Try SITROS...

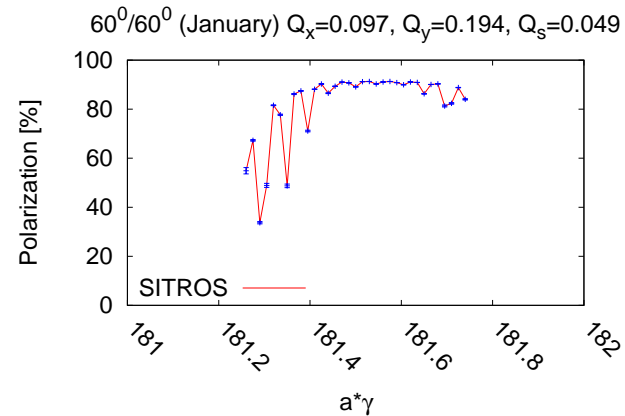


V= 700 MV

	$\sigma_x$	$\sigma_y$	$\sigma_\ell$
	( $\mu\text{m}$ )	(nm)	(mm)
analytical	13.22	19.5	3.079
SITROS Tracking	12.66	44.1	3.105

Correctors added after each bending magnet for correcting sawtooth effect: linear polarization shows no improvement!

Tracking shows some improvement.



$$V = 700 \text{ MV}$$

	$\sigma_x$	$\sigma_y$	$\sigma_l$
	( $\mu\text{m}$ )	(nm)	(mm)
analytical	12.595	19.1	3.083
SITROS Tracking	12.206	26.3	3.108