Exploring the Energy frontier with a Muon Collider

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Thanks to Andrea Wulzer for his help and materials for the preparation of this talk

Muon Collider Workshop 2018 Padova, July 3, 2018



The LHC 2012: We finally found the Higgs...



After chasing it for so long, all the "ingredients" of the SM were experimentally confirmed

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• But the Higgs is the only "new" physics we have found so far...

318	aus: July 2017					ĺ.	$\int \mathcal{L} dt = (3$	3.2 – 37.0) fb ⁻¹	$\sqrt{s} = 8, 13 \text{ TeV}$
	Model	<i>ℓ</i> ,γ	Jets†	E ^{miss} T	∫£ dt[fb	Limit	, ,		Reference
Extra dimensions	ADD $G_{KK} + g/q$ ADD non-resonant $\gamma\gamma$ ADD QBH ADD BH high $\sum p_T$ ADD BH multijet RS1 $G_{KK} \rightarrow \gamma\gamma$ Bulk RS $G_{KK} \rightarrow WW \rightarrow qq\ell\nu$ 2UED / BRP	$0 e, \mu$ 2γ $-$ $\geq 1 e, \mu$ $-$ 2γ $1 e, \mu$ $1 e, \mu$	$1 - 4j$ $-$ $2j$ $\geq 2j$ $\geq 3j$ $-$ $1J$ $\geq 2b, \geq 3j$	Yes - - - Yes Yes	36.1 36.7 37.0 3.2 3.6 36.7 36.1 13.2	b 7. s 7. s 7. sh 4.1 TeV cx mass 1.75 TeV (x mass 1.6 TeV	7.75 TeV 8.6 TeV 8.9 TeV 8.2 TeV 9.55 TeV	$n = 2$ $n = 3 \text{ HLZ NLO}$ $n = 6$ $n = 6, M_D = 3 \text{ TeV, rot BH}$ $n = 6, M_D = 3 \text{ TeV, rot BH}$ $k/\overline{M}_{Pl} = 0.1$ $k/\overline{M}_{Pl} = 1.0$ Tier (1, 1). %IA ^(1,1) \rightarrow tt) = 1	ATLAS-CONF-2017-06 CERN-EP-2017-132 1703.09217 1606.02265 1512.02586 CERN-EP-2017-132 ATLAS-CONF-2017-05 ATLAS-CONF-2016-10
Gauge bosons	$\begin{array}{l} \mathrm{SSM}\ Z' \to \ell\ell\\ \mathrm{SSM}\ Z' \to \tau\tau\\ \mathrm{Leptophobic}\ Z' \to bb\\ \mathrm{Leptophobic}\ Z' \to tt\\ \mathrm{SSM}\ W' \to \ell\nu\\ \mathrm{HVT}\ V' \to WV \to qqqq \ \mathrm{model}\ \mathrm{HVT}\ V' \to WH/ZH \ \mathrm{model}\ \mathrm{B}\\ \mathrm{LRSM}\ W'_R \to tb\\ \mathrm{LRSM}\ W'_R \to tb \end{array}$	2 e, μ 2 τ - 1 e, μ B 0 e, μ multi-chann 1 e, μ 0 e, μ	- 2 b ≥ 1 b, ≥ 1J/2 - 2 J el 2 b, 0-1 j ≥ 1 b, 1 J	_ _ 2j Yes Yes _ Yes _	36.1 36.1 3.2 3.2 36.1 36.7 36.1 20.3 20.3	A.5 TeV mass 2.4 TeV mass 1.5 TeV mass 2.0 TeV 'mass 5.1 TeV mass 3.5 TeV mass 2.93 TeV 'mass 1.92 TeV 'mass 1.76 TeV	1	$\Gamma/m = 3\%$ $g_V = 3$ $g_V = 3$	ATLAS-CONF-2017-022 ATLAS-CONF-2017-020 1603.08791 ATLAS-CONF-2016-014 1706.04786 CERN-EP-2017-147 ATLAS-CONF-2017-053 1410.4103 1408.0886
C	Cl qqqq Cl ℓℓqq Cl uutt	_ 2 e, μ 2(SS)/≥3 e,	2 j _ μ ≥1 b, ≥1 j	Yes	37.0 36.1 20.3	4.9 TeV		21.8 TeV η_{LL}^- 40.1 TeV η_{LL}^- $ C_{RR} = 1$	1703.09217 ATLAS-CONF-2017-02 1504.04605
DM	Axial-vector mediator (Dirac DM) Vector mediator (Dirac DM) $VV_{\chi\chi}$ EFT (Dirac DM)	0 e, μ 0 e, μ, 1 γ 0 e, μ	$\begin{array}{c} 1-4 \ j \\ \leq 1 \ j \\ 1 \ J, \leq 1 \ j \end{array}$	Yes Yes Yes	36.1 36.1 3.2	ned 1.5 TeV ned 1.2 TeV . 700 GeV		$\begin{array}{l} g_q{=}0.25,g_\chi{=}1.0,m(\chi)<400~{\rm GeV}\\ g_q{=}0.25,g_\chi{=}1.0,m(\chi)<480~{\rm GeV}\\ m(\chi)<150~{\rm GeV} \end{array}$	ATLAS-CONF-2017-060 1704.03848 1608.02372
ΓQ	Scalar LQ 1 st gen Scalar LQ 2 nd gen Scalar LQ 3 rd gen	2 e 2 μ 1 e, μ	$ \begin{array}{c} \geq 2 \ j \\ \geq 2 \ j \\ \geq 1 \ b, \geq 3 \ j \end{array} $	_ Yes	3.2 3.2 20.3	O mass 1.1 TeV Q mass 1.05 TeV Q mass 640 GeV		$\begin{aligned} \beta &= 1\\ \beta &= 1\\ \beta &= 0 \end{aligned}$	1605.06035 1605.06035 1508.04735
Heavy quarks	$ \begin{array}{l} VLQ \ TT \rightarrow Ht + X \\ VLQ \ TT \rightarrow Zt + X \\ VLQ \ TT \rightarrow Wb + X \\ VLQ \ BB \rightarrow Hb + X \\ VLQ \ BB \rightarrow Zb + X \\ VLQ \ BB \rightarrow Wt + X \\ VLQ \ QQ \rightarrow WqWq \end{array} $	0 or 1 e, µ 1 e, µ 1 e, µ 2/≥3 e, µ 1 e, µ 1 e, µ 1 e, µ	$ \begin{array}{l} \geq 2 \ b, \geq 3 \ j \\ \geq 1 \ b, \geq 3 \ j \\ \geq 1 \ b, \geq 1 \ J/2 \\ \geq 2 \ b, \geq 3 \ j \\ \geq 2/\geq 1 \ b \\ \geq 1/2 \\ \geq 1 \ b, \geq 1 \ J/2 \\ \geq 4 \ j \end{array} $	Yes Yes 2j Yes Yes – 2j Yes Yes	13.2 36.1 36.1 20.3 20.3 36.1 20.3	mass 1.2 TeV mass 1.16 TeV mass 1.35 TeV mass 700 GeV mass 790 GeV mass 1.25 TeV		$\begin{split} \mathcal{B}(T \to Ht) &= 1\\ \mathcal{B}(T \to Zt) &= 1\\ \mathcal{B}(T \to Wb) &= 1\\ \mathcal{B}(B \to Hb) &= 1\\ \mathcal{B}(B \to Zb) &= 1\\ \mathcal{B}(B \to Wt) &= 1 \end{split}$	ATLAS-CONF-2016-104 1705.10751 CERN-EP-2017-094 1505.04306 1409.5500 CERN-EP-2017-094 1509.04261
fermions	Excited quark $q^* \rightarrow qg$ Excited quark $q^* \rightarrow q\gamma$ Excited quark $b^* \rightarrow bg$ Excited quark $b^* \rightarrow Wt$ Excited quark $b^* \rightarrow Wt$ Excited lepton ℓ^*	- 1 γ - 1 or 2 e, μ 3 e, μ 3 e, μ, τ	2 j 1 j 1 b, 1 j 1 b, 2-0 j -	- - Yes -	37.0 36.7 13.3 20.3 20.3 20.3	mass 6.0 Te mass 5.3 TeV mass 2.3 TeV mass 1.5 TeV mass 3.0 TeV mass 1.6 TeV	TeV V	only u^* and d^* , $\Lambda = m(q^*)$ only u^* and d^* , $\Lambda = m(q^*)$ $f_g = f_L = f_R = 1$ $\Lambda = 3.0 \text{ TeV}$ $\Lambda = 1.6 \text{ TeV}$	1703.09127 CERN-EP-2017-148 ATLAS-CONF-2016-060 1510.02664 1411.2921 1411.2921
Other	LRSM Majorana v Higgs triplet $H^{\pm\pm} \rightarrow \ell \ell$ Higgs triplet $H^{\pm\pm} \rightarrow \ell \tau$ Monotop (non-res prod) Multi-charged particles Magnetic monopoles	2 e, μ 2,3,4 e, μ (S 3 e, μ, τ 1 e, μ - -	2 j S) – 1 b – –	- - Yes -	20.3 36.1 20.3 20.3 20.3 7.0	mass 2.0 TeV ** mass 870 GeV ** mass 400 GeV in-1 invisible particle mass 657 GeV ulti-charged particle mass 785 GeV onopole mass 1.34 TeV		$\begin{split} & m(W_R) = 2.4 \text{ TeV, no mixing} \\ & \text{DY production} \\ & \text{DY production, } \mathcal{B}(H_L^{\pm\pm} \to \ell\tau) = 1 \\ & a_{\text{non-res}} = 0.2 \\ & \text{DY production, } q = 5e \\ & \text{DY production, } g = 1g_D, \text{ spin } 1/2 \end{split}$	1506.06020 ATLAS-CONF-2017-05 1411.2921 1410.5404 1504.04188 1509.08059

*Only a selection of the available mass limits on new states or phenomena is shown. †Small-radius (large-radius) jets are denoted by the letter j (J).

…and (almost) everything we have measured agrees well with the SM…



• We know the SM cannot be the ultimate theory of fundamental physics...

Theoretical issues

It is "problematic"	Hierarchy problem				
	Strong CP problem				
	Flavor problem				

It is not very stable... **EW** vacuum is metastable

Observational/Experimental issues

No Neutrino masses

No explanation of gravity

No Dark Matter/Dark Energy

•••

Matter/Anti-Matter asymmetry?

Other questions

Why 3 families? Do gauge couplings unify? **Aesthetical issues?**

Too many parameters?

Particle Physics at Future Colliders

 But... what should we look for? The Higgs was "expected" within the SM, we knew what to search for...

...unless the LHC finds any hint of new physics, High Energy Physics at Future Colliders will be an exploration of the unknown...

No new discovery can be guaranteed



The best Future Collider option is that which allows to explore many directions

Particle Physics at Future Colliders

The best Future Collider option is that allows to explore many directions

- Strengths of a Muon collider:
 - Muon Rare processes
 - Neutrino physics
 - Higgs factory \Rightarrow See. A. Blondel's and M. Greco's talks
 - High Energy frontier \Rightarrow This talk

Can we define minimum energy/luminosity requirements for BSM exploration at High Energies?

Naturalness

In the SM the Higgs mass/EW scale is very sensitive to any UV mass scales via quantum corrections

$$egin{aligned} m_{H}^{2} &= \int_{0}^{\infty} F(E;g) pprox \int_{0}^{\Lambda} F_{ ext{SM}}(E;g_{ ext{SM}}) + \int_{\Lambda}^{\infty} F(E;g) \ & \left(egin{aligned} &F(E;g) \ & F(E;g) \ & E \ll \Lambda \end{aligned}
ight) + \mathcal{O}(rac{1}{\Lambda^{n}}) \end{array}
ight) \end{aligned}$$

SM contrib.: $\delta m_H^2 = \frac{3y_t^2}{8\pi^2}\Lambda^2 + \dots$

Must be cancelled by NP or fine tuning needed

Fine tuning:

$$\Delta = \sqrt{\sum \left(rac{\partial \log m_H^2}{\partial \log a_i}
ight)^2}$$

% variation in $a_i \rightarrow \Delta$ % variation in m_H

$$\Delta \geq \frac{\delta m_{H}^{2}}{m_{H}^{2}} \approx \left(\frac{126 \text{ GeV}}{m_{H}}\right)^{2} \left(\frac{\Lambda}{500 \text{ GeV}}\right)^{2} \qquad \text{Naturalness (Δ~1$) $\Rightarrow $\Lambda$$ \le 1 TeV}$$

Naturalness

Current limits on conventional Natural models (colored Top partners)



Top partner masses ≈ 1 TeV

• HL-LHC may push

 $\Lambda\gtrsim 2~{
m TeV}
ightarrow\Delta\geq 10$

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Naturalness

After the LHC:

$\Lambda\gtrsim 2~{ m TeV} ightarrow\Delta\geq 10~~$ Typical natural scenarios

• Naturalness could still be realized if δm_H^2 cancelled by QCD-uncolored particles

⇒ Neutral naturalness

Twin Higgs - Folded SUSY - Quirky Little Higgs - Hyperbolic Higgs

 $\Lambda \sim 1 \; {
m TeV}
ightarrow \Delta \sim O(1) \,$ would survive the LHC search

Or it may just be that the EW scale is only "partially" unnatural

 $\Delta \sim O(100) \rightarrow \Lambda \sim 5 {
m ~TeV}$

Reasonable requirement based on (un)naturalness: Reach of ~5 TeV for conventional Top partners

Dark Matter

- A future collider should be able to tell if Dark Matter is a WIMP:
 - "WIMP miracle": Weak mass and couplings reproduces relic abundance

 $M_\chi \sim v_{
m EW}$

• Relic density can be satisfied for a larger range of masses and couplings

 $M_{\chi} \sim 10 \, \mathrm{MeV} - 10 \, \mathrm{TeV}$

• (Unitarity bounds $M_{\chi} < 100 \text{ TeV}$)

Minimal Models of DM

• Accidental Dark Matter: DM is stable due to accidental symmetries. Extensions to non-electric neutral DM can be stabilized via milicharges

\sqrt{B} Pond MD (6)

Accidental Dark Matter \widetilde{DM} is stable due to accidental symmetries. Extensionshould be capable to tell if DM is WIMP Beyond MDM les WIMP_can $\chi \psi_{\rm SM} H(H^{\dagger})$ (9)Ζ • A millicharge can effectively stabilise the DM: $\chi \sim (1,n,\epsilon)$ (1)(10)- n = 3, 5, 7, ... thermal production via gauge interactions (and suppressed Z couplings) (2)**<u>Predictive</u>** - mass fixed by relic \overline{x} density [Del (Job)le, Nardecchia, Panci 1512.05353] $\lambda \chi \cdot SM \cdot SM$ (3) $M_{\chi}^{(\mathrm{DM})}$ [TeV] X $(1,3,\epsilon)_{\rm CS}$ $(1, 3, \epsilon)_{\rm CS}$ $\lambda \chi \cdot (\text{SM particle}) \cdot (\text{SM particle})$ 1.5 $(1,3,\epsilon)_{\rm DF}$ 2.0 $(1,3,\epsilon)_{\mathrm{DF}}$ $(1, 3, 0)_{\rm MF*}$ 3.0 $\lambda \ll 1$ (5) $(1,3,0)_{\mathrm{Ml}}$ $(1, 5, \epsilon)_{\text{CS, DF}}$ 6.6 $(1, 5, 0)_{\rm MF} **$ 9.6 $\mathcal{O}_6 = \frac{c_6}{\Lambda_{-\alpha}^2} q q q \ell$ $(1,5,\epsilon)_{\rm CS}$ 16 $(1,7,\epsilon)_{\rm CS,\,DF}$ complex scalar 7 $(1, 5, 0)_{\rm Ml}$ $\tau_p \gtrsim 10^{34} \text{ yr} \longrightarrow \Lambda_{\text{eff}} \gtrsim \sqrt{c_6} \times 10^{16} \text{ GeV}$ $(1,7,\epsilon)_{\rm CS}$ $(1,3,\epsilon)_{\rm CS}$ (12)* wino-like MDM [Cirelli, Sala, Taoso 1407.7705] $10^{34} \text{ yr} \longrightarrow \Lambda_{\text{eff}} \gtrsim \sqrt{c_6} \times 2 \times 10^{16} \text{ GeV}$ (13)Direct searches: mono-x, dissaprotracks. 2090] Indirect searches also important) - Accidental Matter EWIMP candr triplet and ept $\lambda_{\chi}^{\mu} \cdot \mathrm{Sp} \gtrsim 10^{34} \mathrm{yr}^{-0.1 \mathrm{eV}}$ a double for containty, ou mines the DM pass the in each case 1 (Ther anties on M'are indicated by band; the inner, darker band reflectes the 25 uncertainty on Planck's measured outer, lighter band shows the theoretical uncertainty estimated as $\pm 5\%$ of the Figure 1: Correction enclosed and the standard enclosed and the properties of the second standard enclosed and the second standard enclosed and the properties of the second standard enclosed and the properties of the second standard enclosed and the seco Muon Collider Workshop 2018 Jorge de Blas

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Dark Matter

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Electroweak phase transition

• We found the Higgs but still know little about the Higgs potential/EWSB



$$V_{\text{eff}}(h,T) = V_0(h) + V_0^{\text{CW}}(h) + V_T(h,T)$$

 A strong 1st order phase transition is one of the conditions to generate Baryon asymmetry (Baryogenesis)

Requires new physics modifying scalar potential

Can be tested via the trilinear Higgs coupling

Electroweak phase transition



Cross sections small (but somewhat larger than e⁺e⁻ counterparts)

 $\sigma_{WBF}(3 \text{ TeV}) = 0.9 \text{ fb}$ $\sigma_{WBF}(6 \text{ TeV}) = 2.1 \text{ fb}$

hhh ~ O(20%)

hWW must be well known for a precise extraction of hhh coupling

hWW~1% from single Higgs

CLIC 3 TeV, 3 ab⁻¹

Electroweak phase transition $\sqrt{s} = 3$ TeV

 $\sqrt{s} = 0.5$ TeV

 New physics modifying scalar potential: Singlet extensions of the SM are the simplest scenario

 $\sqrt{s} = 3$ TeV

Example: Direct reach at multi-TeV lepton coll. (CLIC 3 TeV)



D. Butano, D. Redigolo, F. Sala, A. Tesi, CLIC Physics Potential Yellow Report, In preparation

Flavour Anomalies

Several anomalies in the B-sector ($b \rightarrow sll, b \rightarrow clv$) hint to additional BSM contributions



G. D'Amico et al., arXiv: 1704.05438 [hep-ph]

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Flavour Anomalies

- $b \rightarrow sll$: Consistent with NP contrib. to $\bar{b}s\mu^+\mu^-$ contact interactions
 - NP interaction scale < 80 TeV [unitarity] (< 9 TeV if common explanation for both $b \rightarrow sll$ and $b \rightarrow clv$)

L. Di Luzio, M. Nardecchia, arXiv: 1706.01868 [hep-ph]

$$\mathcal{H}_{b
ightarrow s\mu\mu}\simar{b}_L\gamma_\lambda s_Lar{\mu}\left(C_9^{\mu\mu}\gamma^\lambda+C_{10}^{\mu\mu}\gamma^\lambda\gamma_5
ight)\mu+ ext{h.c.}$$

$$\Delta C_9^{\mu\mu} = -\Delta C_{10}^{\mu\mu} = -0.63^{+0.16}_{-0.17}$$

W. Altmannshofer, P. Stangl, D.M. Straub, arXiv: 1704.05435 [hep-ph]

• Candidates (Tree-level):





G. D'Amico et al., arXiv: 1704.05438 [hep-ph]

Sizable interactions with muons⇒ Good opportunities at a Muon Collider

Flavour Anomalies

• Candidates (Tree-level):

Sizable interactions with muons⇒ Better tested at a Muon Collider





- Main effect via t-channel: $\mu^+ \mu^- \rightarrow bb$, ss
- Pair production
- Single prod. via



M.D. Doncheski, S. Godfrey, arXiv: hep-ph/9807290



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Direct reach at Muon Colliders

Muon vs Hadron Colliders: High Energy Reach

 Hadron collider provide higher operating energies but cross sections affected by PDFs



Direct reach at Muon Colliders

Muon vs Hadron Colliders: High Energy Reach

• Example: Fermionic Top partners in Composite Higgs



Fig. by A. Wulzer

Similar results/conclusions for SUSY sTops

Direct reach at Muon Colliders

Muon Colliders: Requirements for Direct searches

- Energy enough to pair-produce ~5 TeV BSM (naturalness, conventional Top partners)
- Run for a reasonable time (e.g. $3 \times LHC$) \rightarrow 900 fb⁻¹
- Probe easy decay modes of BSM: Pair-produce > 100 EW particles

$$N = 1300 \left(\frac{10 \text{ TeV}}{\sqrt{s}}\right)^2 \left(\frac{L}{10^{34} \text{ cm}^{-2}\text{s}^{-1}}\right) \quad \Rightarrow \quad L > \frac{1}{13} \left(\frac{\sqrt{s}}{10 \text{ TeV}}\right)^2 10^{34} \text{ cm}^{-2}\text{s}^{-1}$$

e.g. Top partners/Stops

 A future collider must be also able to provide accurate measurements of SM processes to perform precision tests of new physics



Such precision tests can also benefit from High Energies...

 Even if new physics is beyond direct reach, high energy measurements can improve greatly the indirect sensitivity to virtual new physics effects

EFT description of BSM effects

$$\mathcal{L}_{\text{Eff}} = \sum_{d=4}^{\infty} \frac{1}{\Lambda^{d-4}} \mathcal{L}_d = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda} \mathcal{L}_5 + \frac{1}{\Lambda^2} \mathcal{L}_6 + \cdots$$

$$\mathcal{L}_d = \sum_i C_i^d \mathcal{O}_i \qquad [\mathcal{O}_i] = d \longrightarrow \left(rac{q}{\Lambda}
ight)^{d-4} \ q = v, E < \Lambda$$

 Even if new physics is beyond direct reach, high energy measurements can improve greatly the indirect sensitivity to virtual new physics effects

EFT description of BSM effects

$$\mathcal{L}_{\text{Eff}} = \sum_{d=4}^{\infty} \frac{1}{\Lambda^{d-4}} \mathcal{L}_{d} = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda} \mathcal{L}_{5} + \frac{1}{\Lambda^{2}} \mathcal{L}_{6} + \cdots$$

$$\mathcal{L}_{d} = \sum_{i} C_{i}^{d} \mathcal{O}_{i} \qquad [\mathcal{O}_{i}] = d \longrightarrow \underbrace{\left(\frac{q}{\Lambda}\right)^{d-4}}_{q = v, E < \Lambda}$$

$$\frac{E\text{-const effects}}{\sum_{O} \left|_{\mathcal{L}_{6}} \sim \frac{v^{2}}{\Lambda^{2}}}$$
Sensitivity benefits from:
Accuracy (L, low sys., low th. unc.)
$$\int \underbrace{\frac{E\text{-growing effects}}{\sum_{O} \left|_{\mathcal{L}_{6}} \sim \frac{E^{2}}{\Lambda^{2}}}$$

High E can compensate less accuracy ⇒ Precision Tests at High E colliders

• Example: Indirect reach for universal NP effects via Drell-Yan

Oblique W & Y parameters

$$\mathcal{L}_{W,Y} = -rac{Y}{4M_W^2} (\partial_
ho B_{\mu
u})^2 - rac{W}{4M_W^2} (D_
ho W^a_{\mu
u})^2 = -rac{Yg'\,^2}{2M_W^2} (J_Y^\mu)^2 - rac{Wg^2}{2M_W^2} (J_L^{a\mu})^2 + \dots$$

Induce 4-fermion operators: Contribution to cross section for $2 \rightarrow 2$ fermion processes $\sim \frac{E^2}{\Lambda^2}$

		LEP	ATLAS 8	CMS 8	LHC	13	$100{\rm TeV}$	ILC	TLEP	CEPC	ILC $500 \mathrm{GeV}$
luminosity		$2 \times 10^7 Z$	$19.7{\rm fb}^{-1}$	$20.3{\rm fb}^{-1}$	$0.3\mathrm{ab}^{-1}$	$3 \mathrm{ab}^{-1}$	$10 \mathrm{ab}^{-1}$	$10^9 Z$	$10^{12} Z$	$10^{10} Z$	$3 \mathrm{ab}^{-1}$
NC	$W \times 10^4$	[-19, 3]	[-3, 15]	[-5, 22]	± 1.5	± 0.8	± 0.04	± 4.2	± 1.2	± 3.6	± 0.3
_	$Y \times 10^4$	[-17, 4]	[-4, 24]	[-7, 41]	± 2.3	± 1.2	± 0.06	± 1.8	± 1.5	± 3.1	± 0.2
CC	$W \times 10^4$		± 3.9		± 0.7	± 0.45	± 0.02				

M. Farina, G. Panico, D. Pappadopulo, J. T. Rudermann, R. Torre, A. Wulzer, arXiv: 1609.08157 [hep-ph]

Only CLIC at 3 TeV (3 ab⁻¹) could be competitive with 100 TeV Hadron Collider

A High(er) Energy muon collider could do better with less Lumi

$$\int dt L \geq 3 rac{(3~{
m TeV})^2}{s} {
m ab}^{-1}$$

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 $\frac{g^2 C_{WW}^{\text{eff}}}{960\pi^{2}} \frac{m_W^2}{m_\chi^2} \frac{1}{480\pi^{2}}$

ct Henisitempine (timber Divatuting at areas senter for Maniput Wallar band twice thus there are two

 $\frac{\frac{2}{W}}{n_{2}^{2}} \frac{1}{480\pi^{2}} \cdot \frac{g'sC_{BB}^{\text{eff}}}{gg03\pi^{2}} \frac{m_{W}^{2}}{m_{V}^{2}} \log\left(\frac{1}{2}\right)^{3/2}}{\log(\frac{1}{2}\left(\frac{1}{2}\right)^{3/2})} \log\left(\frac{1}{2}\right)^{3/2}} \log\left(\frac{1}{2}\right)^{3/2}$

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RECISION $etee U_{g_{\chi}}^{\text{value of W and P-corresponding to a given applied in the second of the second of$

dates (including for $\underline{completeness value other (wippedike? Dividere <math>C_{WW}^{\text{eff}} BB\kappa B_{\mu\nu}^{3} \Pi(\underline{n})/\underline{6}^{2}, /\underline{n}^{\text{eff}} \overline{B}^{\mu\kappa 2} nY^{2}, \text{ and } \kappa = 1/\underline{6}^{2}$ ation me hat a find the solution of the soluti ith their the mass f_{M} mass f_{M} is a tracting the local of the second of the mass splitting with the second of the mass splitting with the ma $W = \frac{960\pi^2}{960\pi^2} \frac{m^2}{m^2}$ CS_(EFT LIMIT) e transverse part of The case HEAVY NE form factors are (in the \overline{MS} scheme and

esponding to the pa8($m \rightarrow B$) #3 $m \left(\frac{1}{2} \frac{1}{2}$ contribunion of the complex W =A the A Dad & tearresponding to a given precision A character and the second sec chly Figure 1. Chinematical dependence of the same hard of the less denoted the real part and the degrees (1

 $C_{WW}^{\text{eff}} = \kappa (n^3 - n)/6, \ C_{BB}^{\text{eff}} = \kappa 2nY^2 \frac{44\pi^2 x}{\log\left(\frac{1}{2}\left(\left(\sqrt{\frac{x-4}{x}}\right)\right)^2 + \frac{1}{2}\right)}{\log\left(\frac{1}{2}\left(\left(\sqrt{\frac{x-4}{x}}\right)^2 + \frac{1}{2}\right)^2 + \frac{1}{2}\right)}$ $\operatorname{Binstending}_{\operatorname{dashed}}$ in the fination of the latter is non-zero this under the first of the fination of the degrees black straight line proken at x = 4 is the form factor in the first production via gauge ractions (an improvement of the first production of the scenarios via lange for the form factor in the first production of those scenarios via ractions (and s $\kappa = \frac{1}{2}$,1,4,8 for RS,CS,MF,DF Commentum of t ers, It turns out indeed that the hypothesis of (1)[₩he $\mathcal{F}_{\mathcal{F}} \in \mathcal{F}_{\mathcal{F}}$ effective nero theory (EF1) mult, $x \ll 1$, the expanded

ity can beif fuiling thes to constitue of the second to the sense. ses and the serve the radiative corrections to the neutral and charged current 2 and pair Sprove French 2 and the correct cases of the neutral and charged current 2 and the correct cases of the neutral and correct cases of the neutral and correct cases of the neutral and current 2 and the correct cases of the neutral and correct cases of the neutral and correct cases of the neutral and current 2 and the correct cases of the neutral and correct cases of the neutral and

 $\sqrt{s} = 1.5 \text{ TeV } \mathscr{L} = 1 \text{ ab}^{-1} @ P_{e^+,e^-} = (-80\%,0\%)$



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2.5

Conclusions

- Theoretical motivation for a high-energy muon collider is clear in several directions of BSM exploration
- BSM physics at a Multi-TeV muon collider:
 - Possible to define minimum interesting energy/luminosity requirements
 - **Pros:** Clean environment, Lumi increases with energy, reach comparable to Hadron Collider operating at much higher energies
 - Challenges: Neutrino radiation, background, technology has to be demonstrated
- A high-energy muon collider can also perform precision tests of NP (Important both in presence or absence of a new discovery)

Backup Slides

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Sterile Heavy Neutrinos

Neutrino oscillations prove that neutrinos have mass.

SM: Neutrinos are massless ⇒ BSM physics

 Majorana neutrino mass can only be generated in the SM via higherdimensional operators

Weinberg operator
$$(\mathcal{O}_5)_{ij} = \overline{(l_L^i)^c} \tilde{\phi}^* \tilde{\phi}^\dagger l_L^j \rightarrow \frac{v^2}{2} \overline{(\nu^i)^c} \nu^j$$

(Dim 5, LNV)

Seesaw mechanism(s):



Sterile Heavy Neutrinos

- Present in minimal neutrino mass models (seesaw mechanism type 1)
- Interactions with SM via mixing with active neutrinos $\theta_{\alpha} = \frac{y_{\nu_{\alpha}}^*}{\sqrt{2}} \frac{v_{\rm EW}}{M}$



S. Antusch, E. Cazzato, O. Fischer, arXiv: 1612.02728 [hep-ph]

Sterile Heavy Neutrinos

- Present in minimal neutrino mass models (seesaw mechanism type 1)
- Interactions with SM via mixing with active neutrinos $\theta_{\alpha} = \frac{y_{\nu_{\alpha}}^*}{\sqrt{2}} \frac{v_{\rm EW}}{M}$



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