

Hadronic interaction model SIBYLL

Felix Riehn

ISAPP school “LHC meets CRs” 2018

CERN

30. 10. 2018



SIBYLL history

1992

'early days'
SIBYLL
(PRD 50, 9 (1994))

E-J. Ahn, J. Engel, R. Engel,
A. Fedynitch, R. Fletcher,

T. K. Gaisser, P. Lipari, F. Riehn,
T. Stanev

2001

'TeVatron' era
SIBYLL 2.1
(PRD 80, 094003 (2009))

More history:

“Sibyll – past, present and future”

2017

'post-LHC'
SIBYLL 2.3c
(PoS ICRC2017, 301 (2017))

(EPJ Web Conf. 145 (2017) 08001)

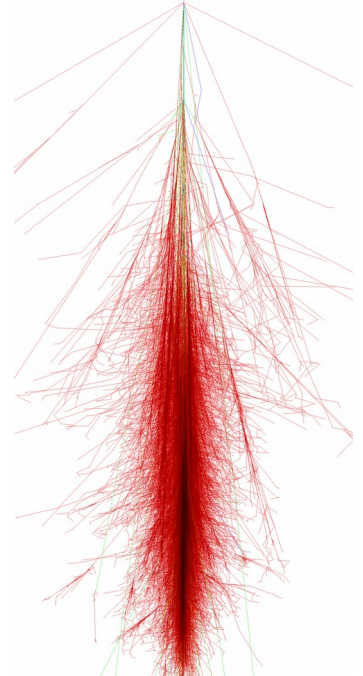
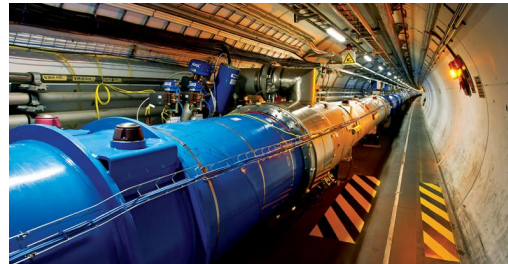
Origin of SIBYLL

First version ~1992

“Slow computers, fast programs”



(IBM)



Minimal requirements:

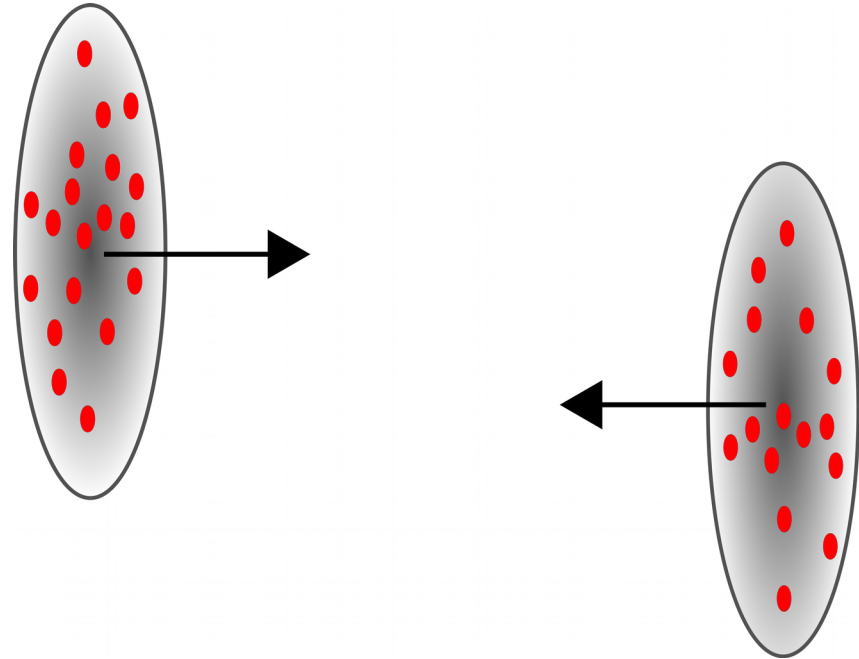
- * QCD
- * fast program
- * Projectiles: p, pi, K and nuclei up to Fe
- * ultra-high energies, 150 TeV cm
- * Forward phase space

SIBYLL characteristics

QCD inspired

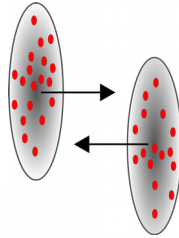
- * multiple interactions
- * soft & hard scattering
- * saturation effects

- * diffraction dissociation
- * beam remnants
- * Glauber picture of nuclear interactions
- * string fragmentation



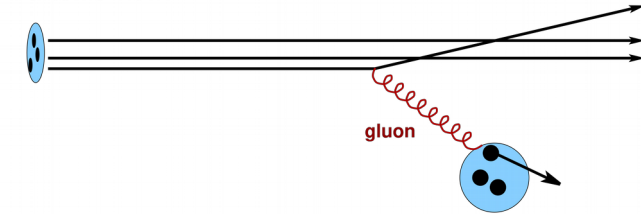
Hadron interactions

non-diffractive

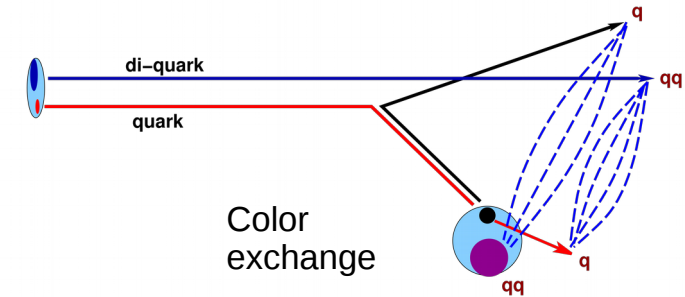


diffractive

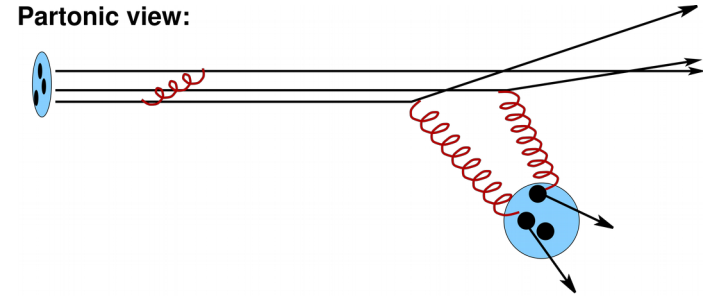
Partonic view:



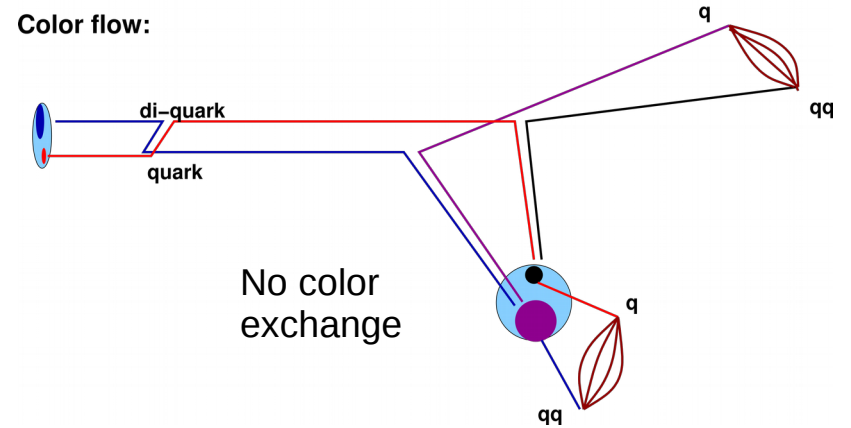
Color flow:



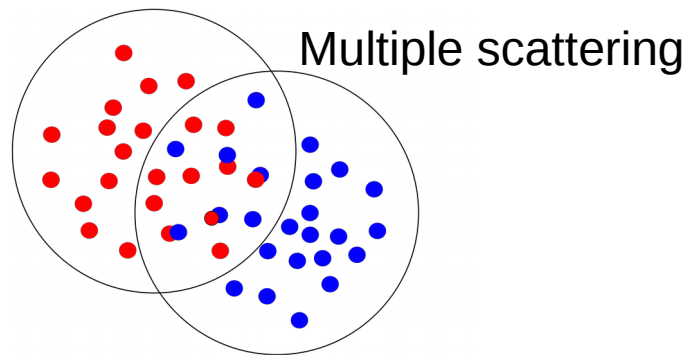
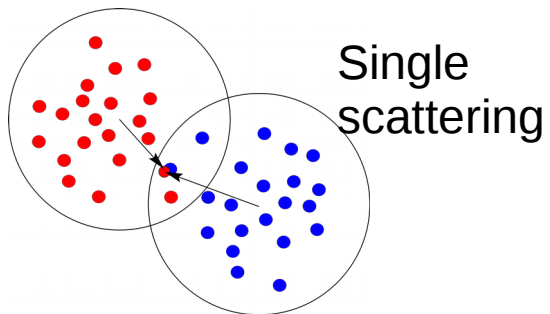
Partonic view:



Color flow:



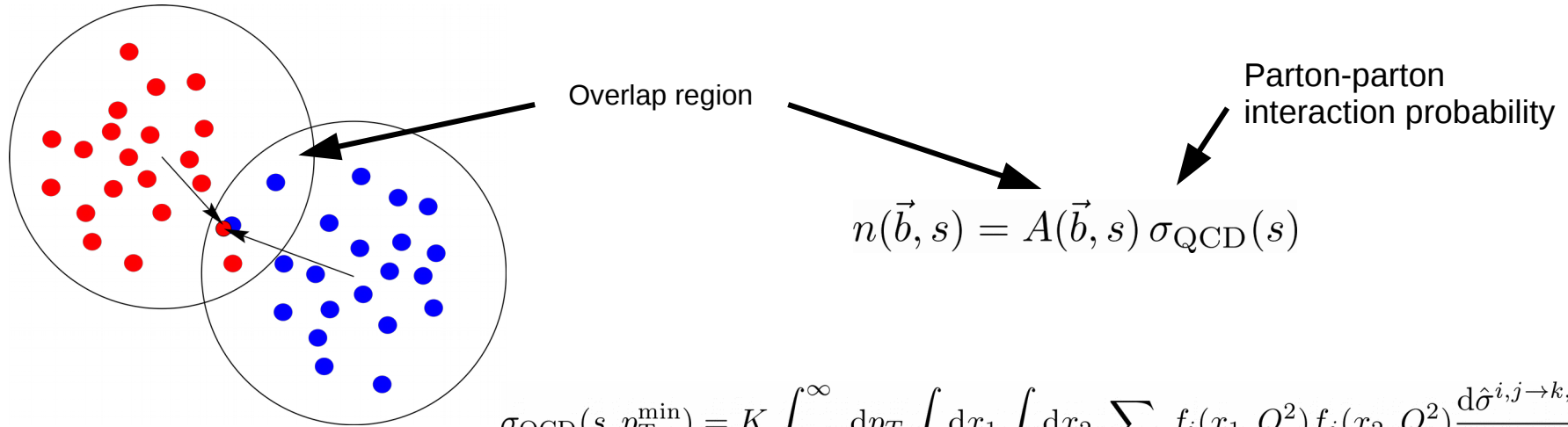
Non-diffractive interactions



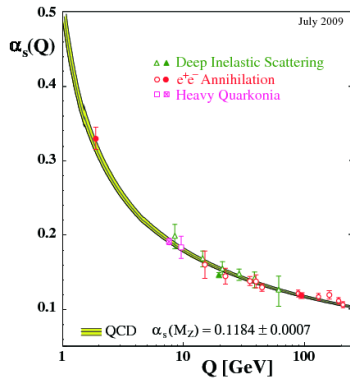
Event creation

1. number of parton interactions
2. parton momenta & color flow
3. hadronize

1. Number of interactions



$$\sigma_{\text{QCD}}(s, p_{\text{T}}^{\min}) = K \int_{p_{\text{T}}^{\min}}^{\infty} dp_{\text{T}} \int dx_1 \int dx_2 \sum_{i,j,k,l} f_i(x_1, Q^2) f_j(x_2, Q^2) \frac{d\hat{\sigma}^{i,j \rightarrow k,l}}{dp_{\text{T}}}(\hat{s}, \hat{t})$$

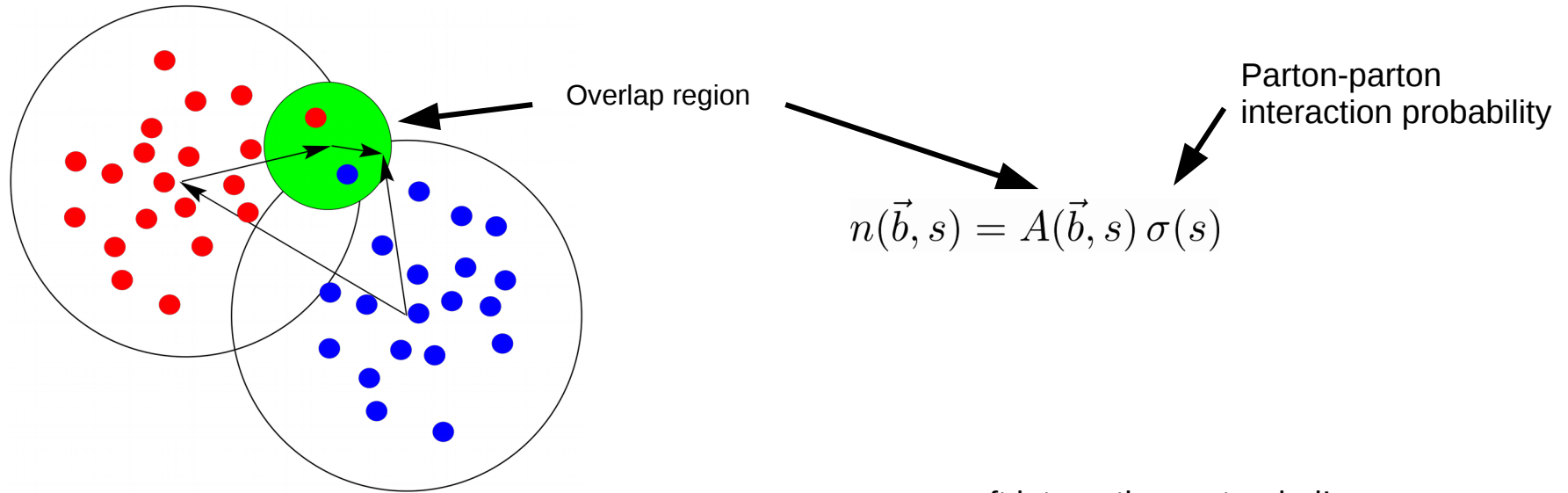


Parameters: $K, p_{\text{T}}^{\min}, \nu_h$

Problem!

non-perturbative

1. Number of interactions



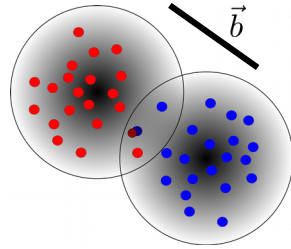
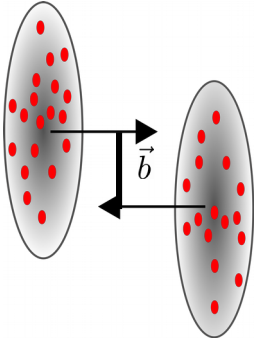
soft interaction, extended!

$$\sigma_{\text{soft}}(s) = \mathcal{A} \left(\frac{s}{s_0} \right)^{-\epsilon} + \mathcal{B} \left(\frac{s}{s_0} \right)^{\Delta}$$

(Donnachie, Landshoff)

Parameters: 4 sigma + 3 profile

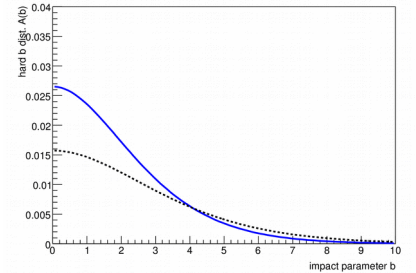
1. number of interactions



$$\langle n(\vec{b}, s) \rangle = A(\vec{b}, s) \sigma(s)$$

Take nucleon shape from experiment

$$\langle n(\vec{b}, s) \rangle = n_{\text{soft}} + n_{\text{hard}}$$

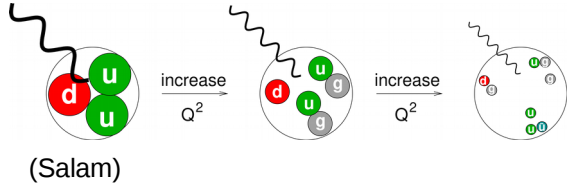


Independent scatterings \rightarrow Poisson

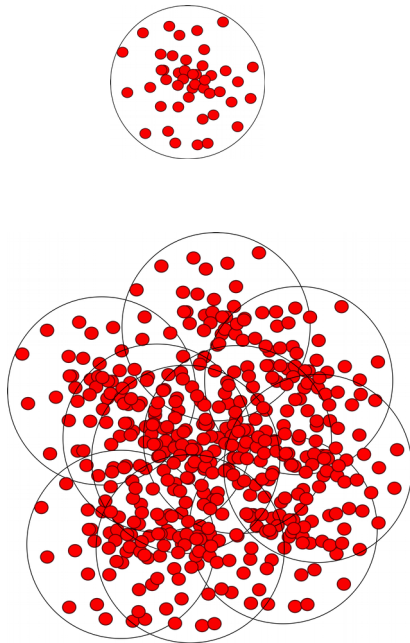
$$P_n(\vec{b}) = \frac{\langle n(\vec{b}) \rangle^n}{n!} \exp(-\langle n(\vec{b}) \rangle)$$



High parton densities



→ saturation of binary scattering !



$$\pi r_0^2 \approx \frac{\alpha_s(Q_s^2)}{Q_s^2} \cdot xg(x, Q_s^2)$$

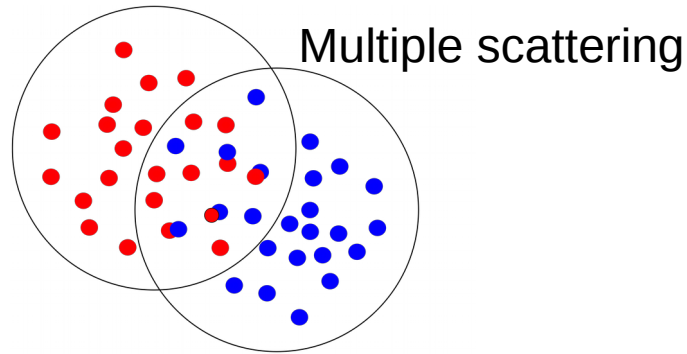
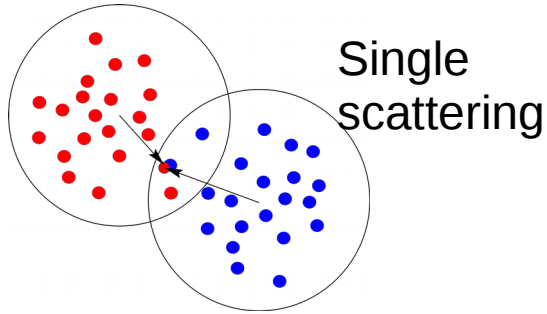
Gluon-gluon cross section

Gluon number density

$$Q_s^2 \approx p_T^2$$

$$p_T^{\min}(s) = p_{T,0} + 0.065 \text{ GeV} \exp\left(0.9 \sqrt{\ln(s/\text{GeV}^2)}\right)$$

Non-diffractive interactions



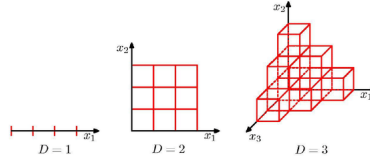
Event creation

1. number of parton interactions ✓
 - soft & hard
 - saturation
2. parton momenta & color flow
3. hadronize

2. Parton momenta

$$P_n(\vec{b}) \rightarrow \frac{d^{2n} P(\vec{b})}{dx_1^1 dx_2^1 \dots dx_n^1}$$

2n+1 dimensional p.d.f



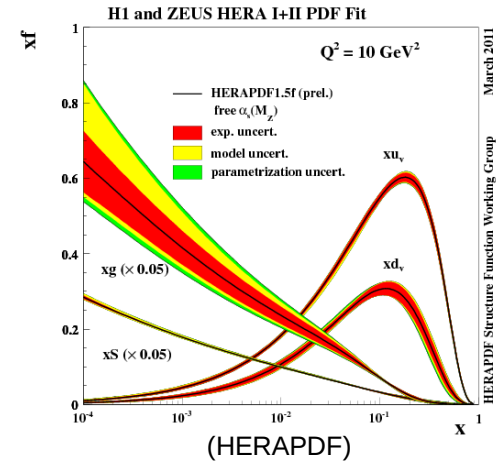
→ **factorize!** drop correlations $x \leftrightarrow b \leftrightarrow n$

$$P_n(\vec{b}) \rightarrow P_n = \int d^2\vec{b} P_n(\vec{b}) \quad \rightarrow \text{sample } n \rightarrow \text{sample } x$$

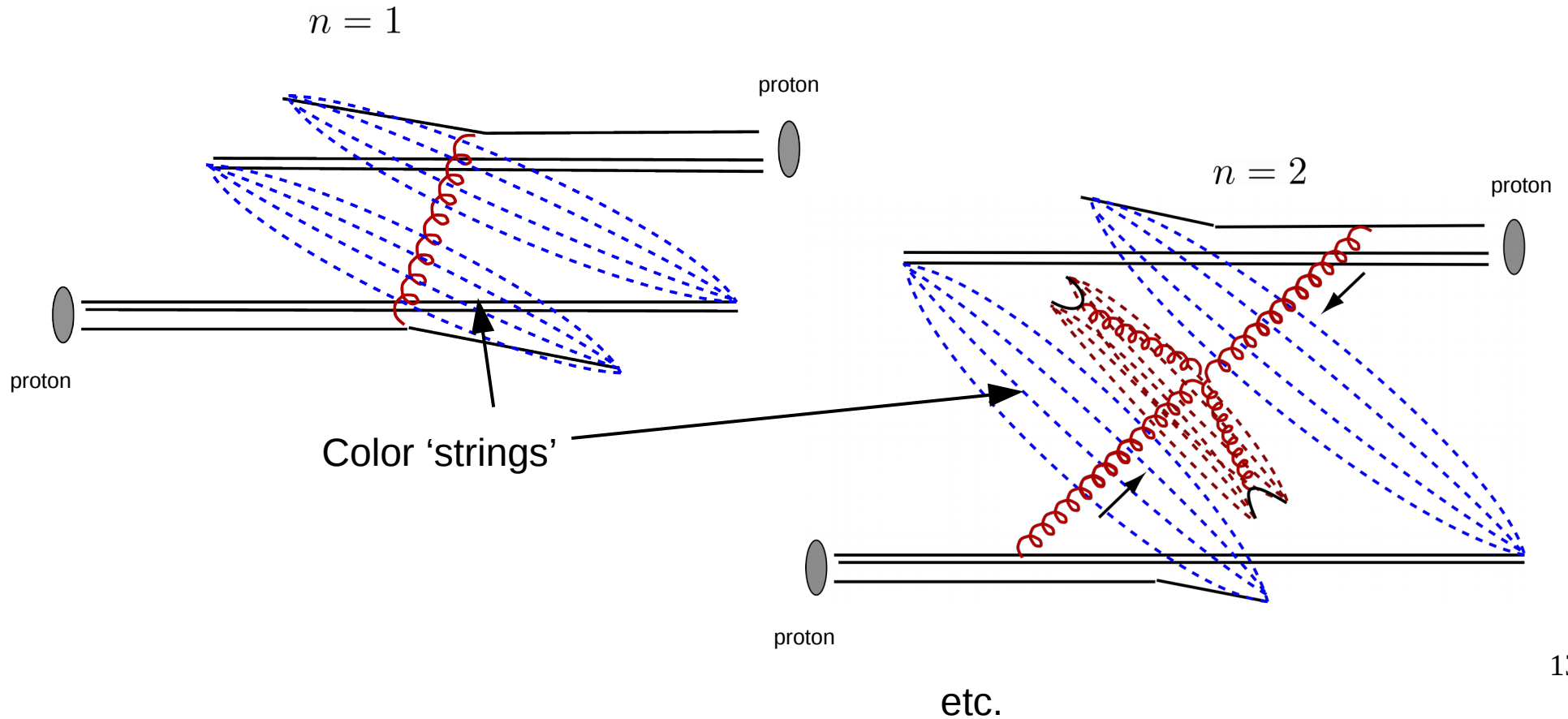
QCD features of interest: rise of cross section, multiplicity, $p_T \rightarrow$ jets

→ combine u:d:s:c:g → partons

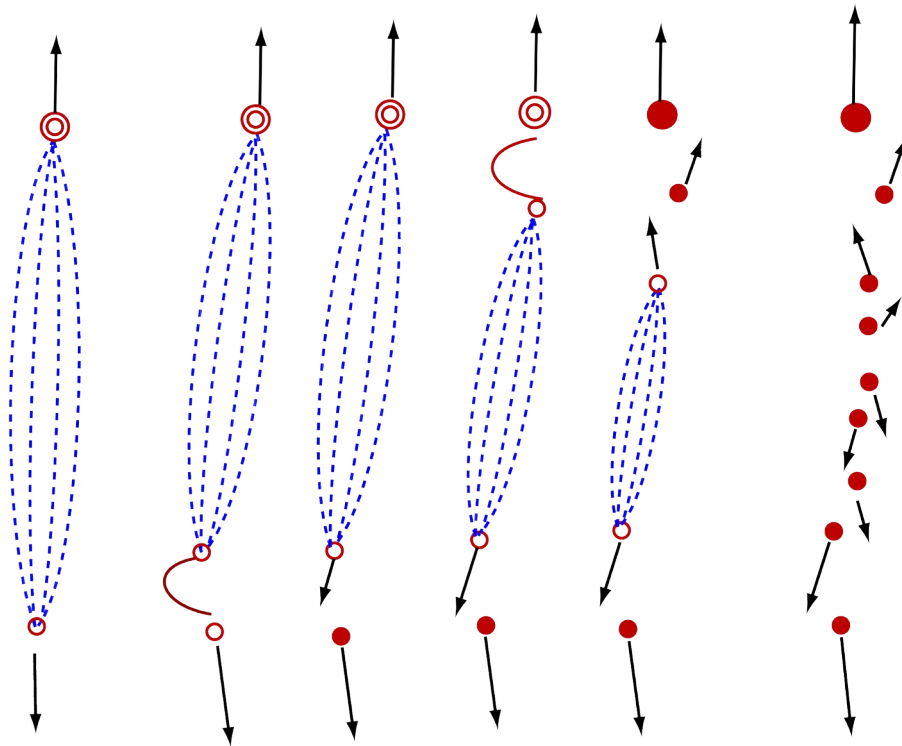
$$f(x) = g(x) + \frac{4}{9}[q(x) + \bar{q}(x)]$$



2. simplified color flow



3. hadronization



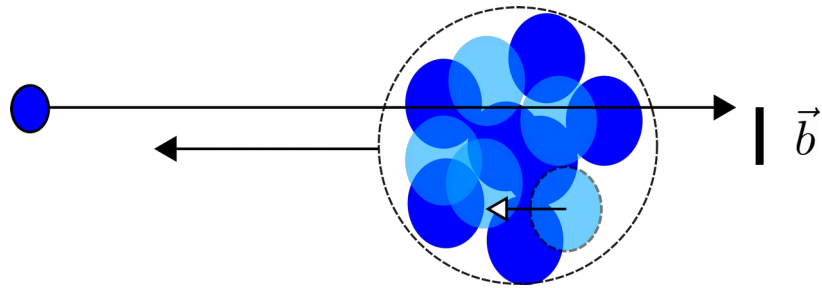
String fragmentation

$$f(z) = \frac{(1-z)^\alpha}{z} e^{-bm_T/z}$$

flavors: u,d,s

+ Flavor parameters

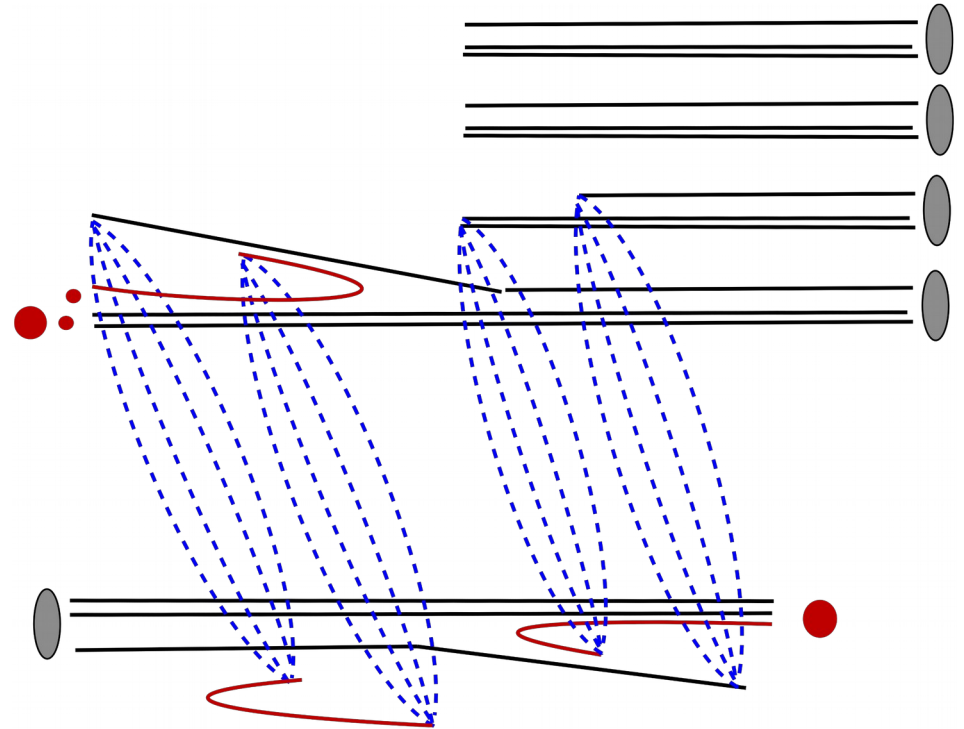
Nuclear interactions



(Glauber)

$$\sigma_{\text{prod}} \approx \int d\vec{b} \left[1 - \exp \left\{ -\sigma_{\text{tot}}^{NN} T(\vec{b}) \right\} \right]$$

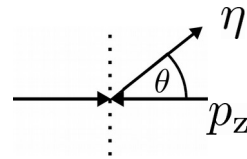
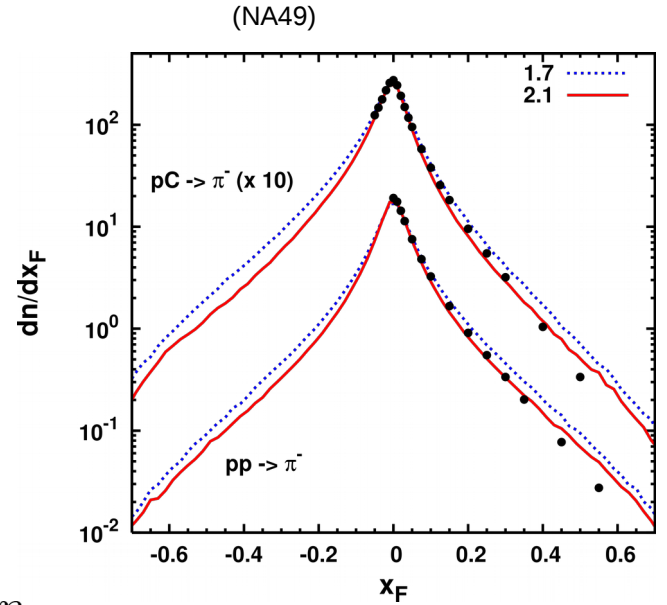
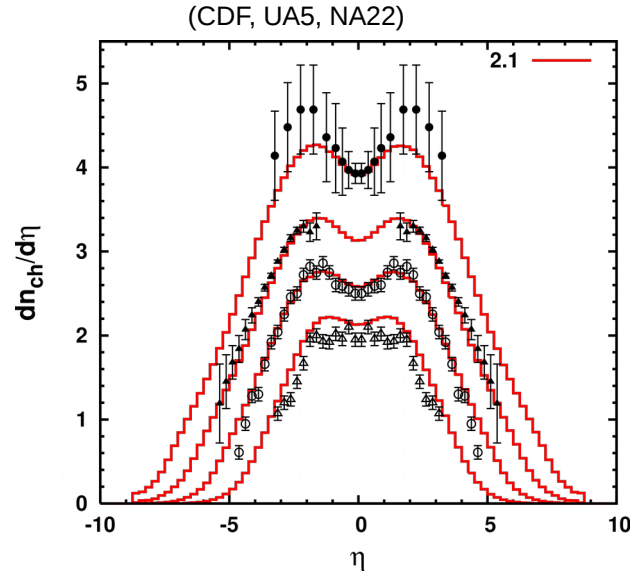
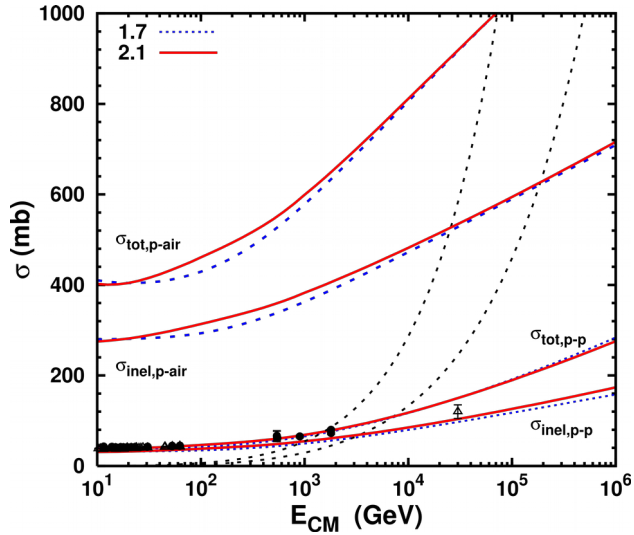
Nucleus profile function



$+n_{\text{hard}}, n_{\text{soft}}$

Model performance

$$\sigma_{\text{inel}} = \int d^2\vec{b} \sum_{n=1}^{\infty} P_n(\vec{b}) = \int d^2\vec{b} (1 - \exp\{-\langle n(\vec{b}) \rangle\})$$



Sibyll 2.1

tuned to TeVatron

Sibyll 2.1 → Sibyll 2.3c

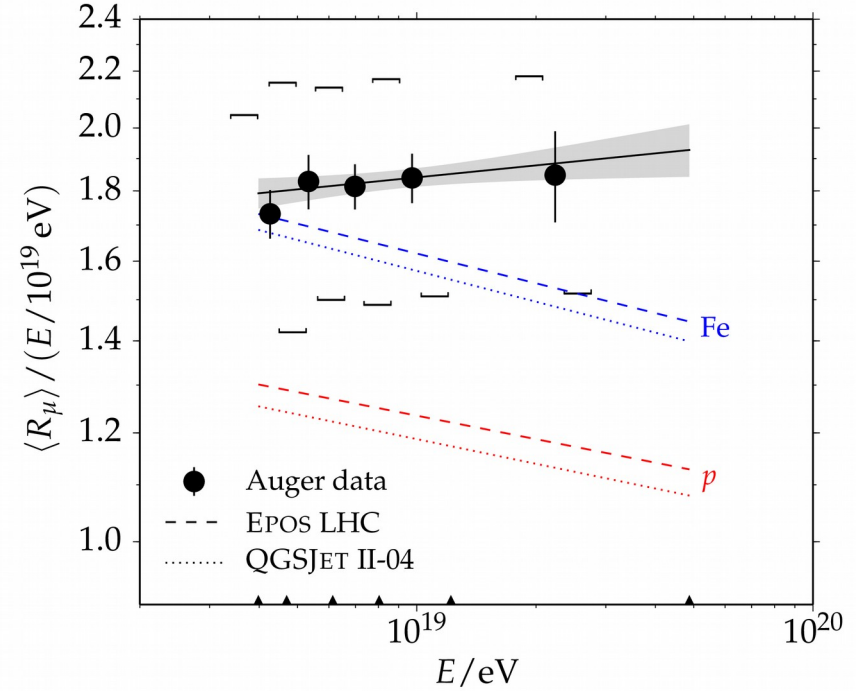
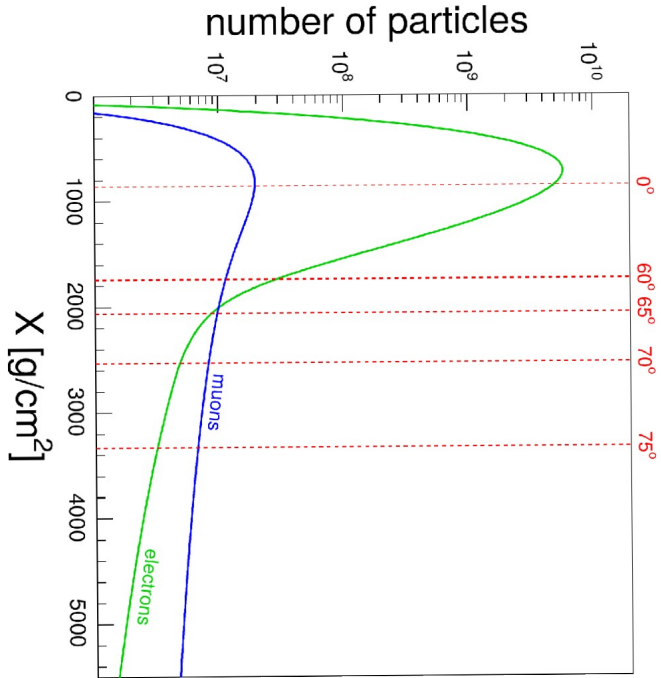
- * LHC measurements
- * baryon pair production
- * beam remnants
- * charm production

Why bother ?

EPOS-LHC & QGSjet surely cover all physics in more detail !

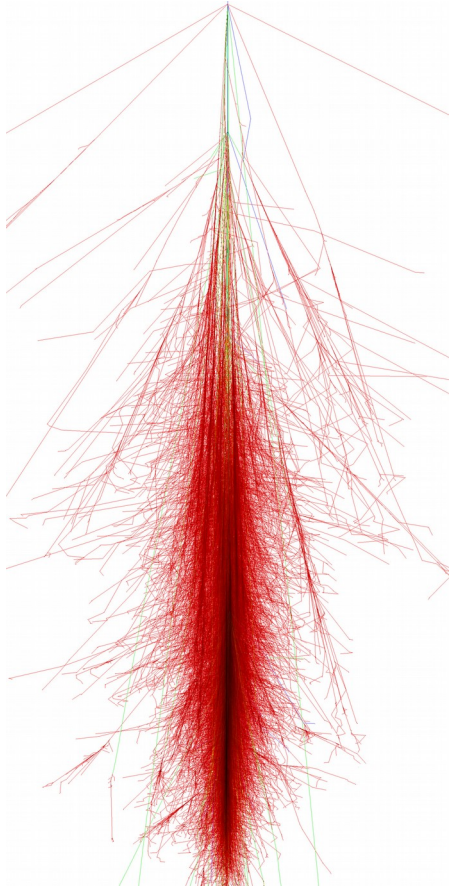
→ All models have problems describing extensive air showers consistently !

EAS performance: muons



(Auger, Phys. Rev. D, 91, 032003 (2015))

Muons in EAS



Cascade of
hadron interactions

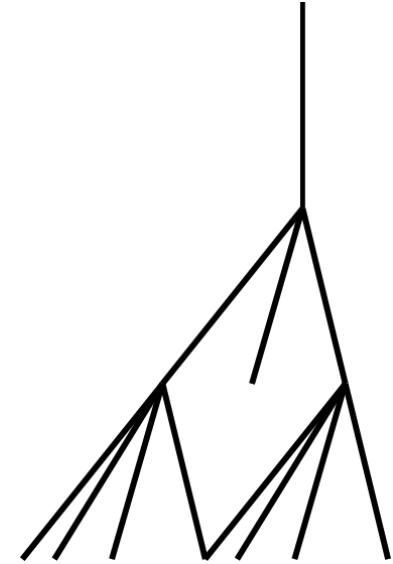


Meson decays



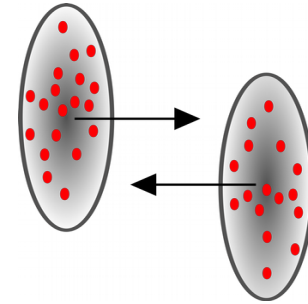
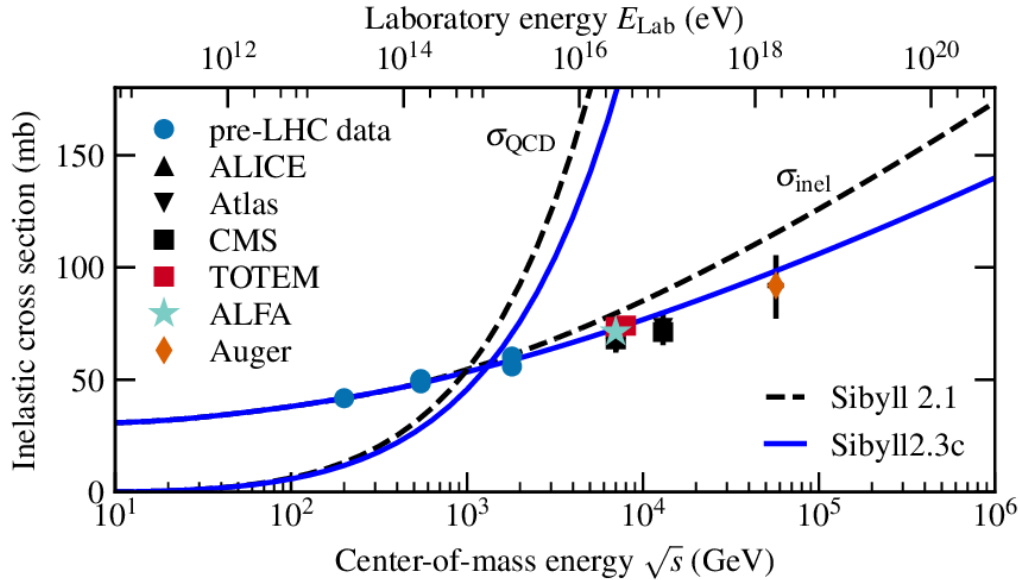
Muons

$$\langle N_\mu \rangle \sim E^\beta$$



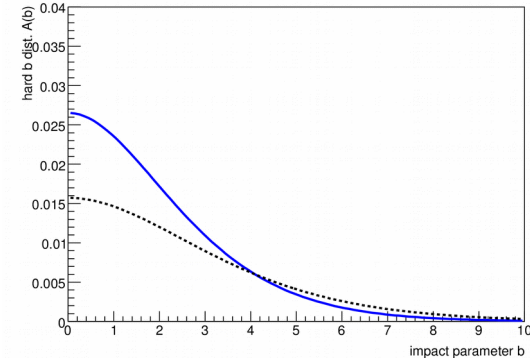
(Astro. Part.Ph 22, 387, 2005)

Cross section: p-p

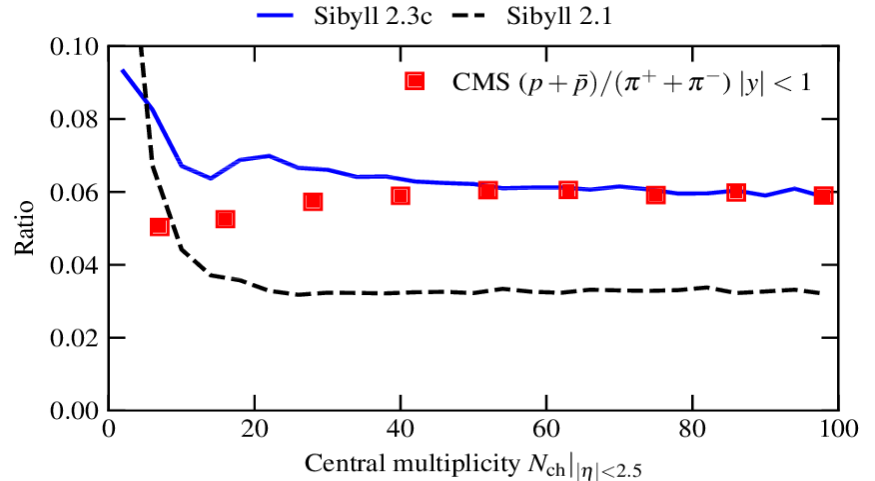
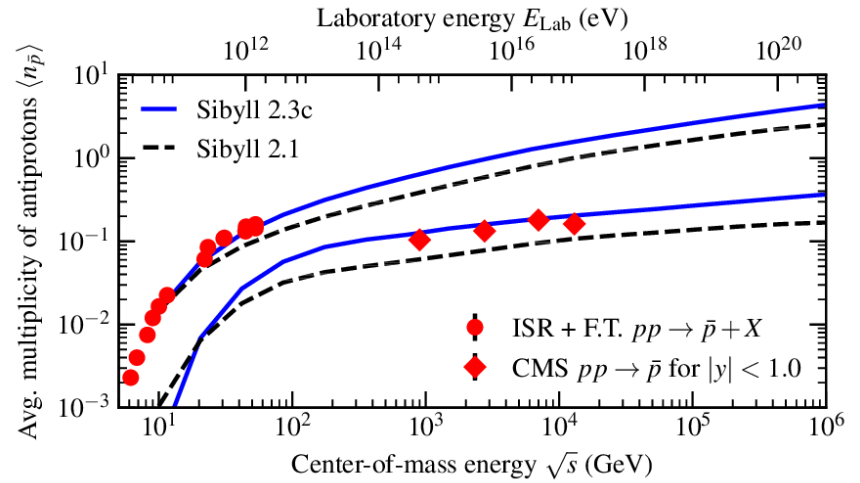
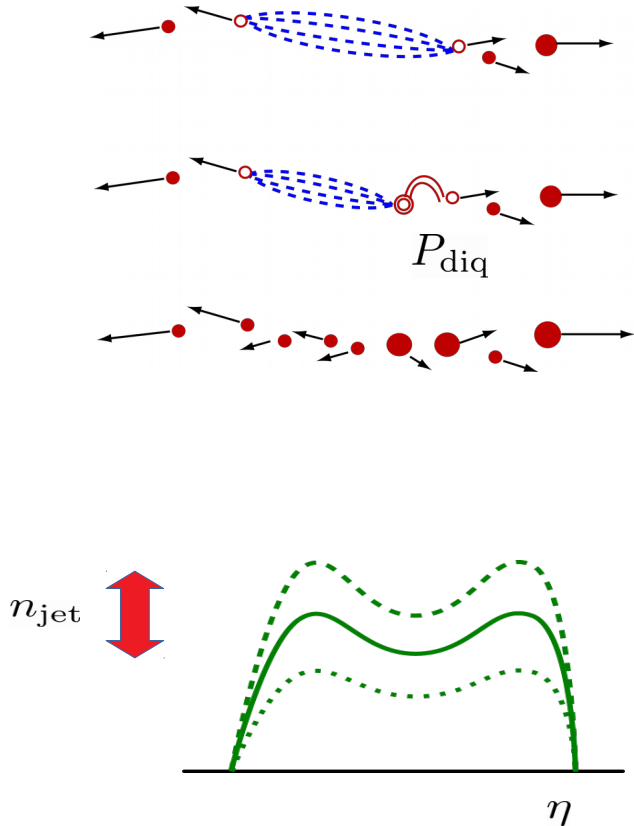


- narrow hadron profile
- increase soft-hard threshold

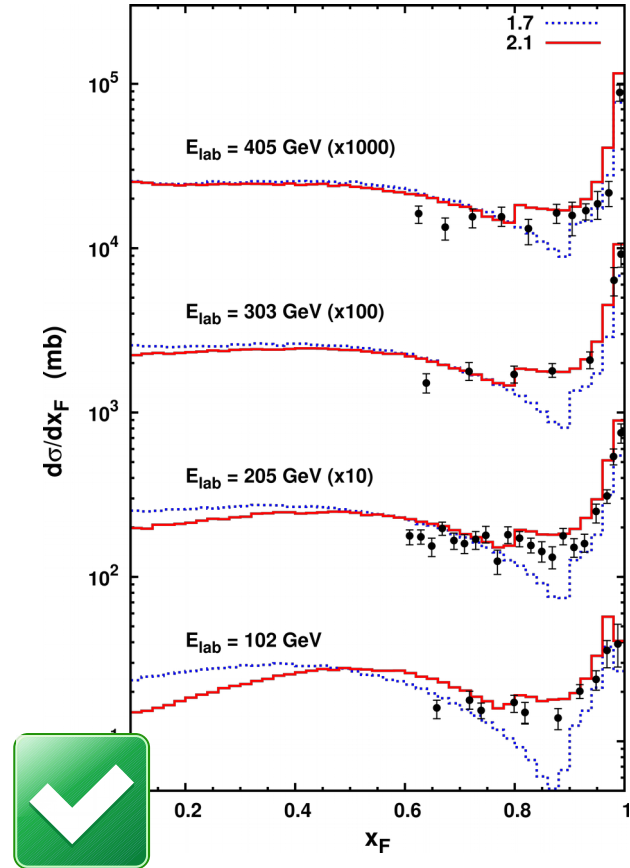
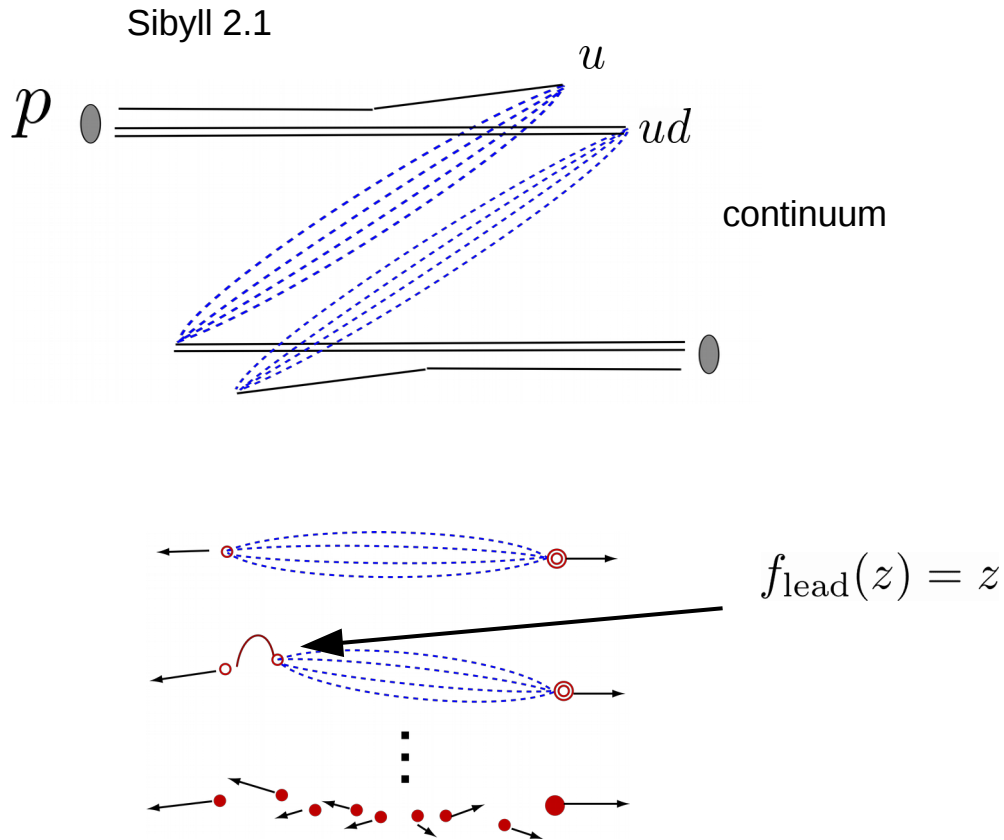
Sibyll 2.1 from 2001
(TeVatron)



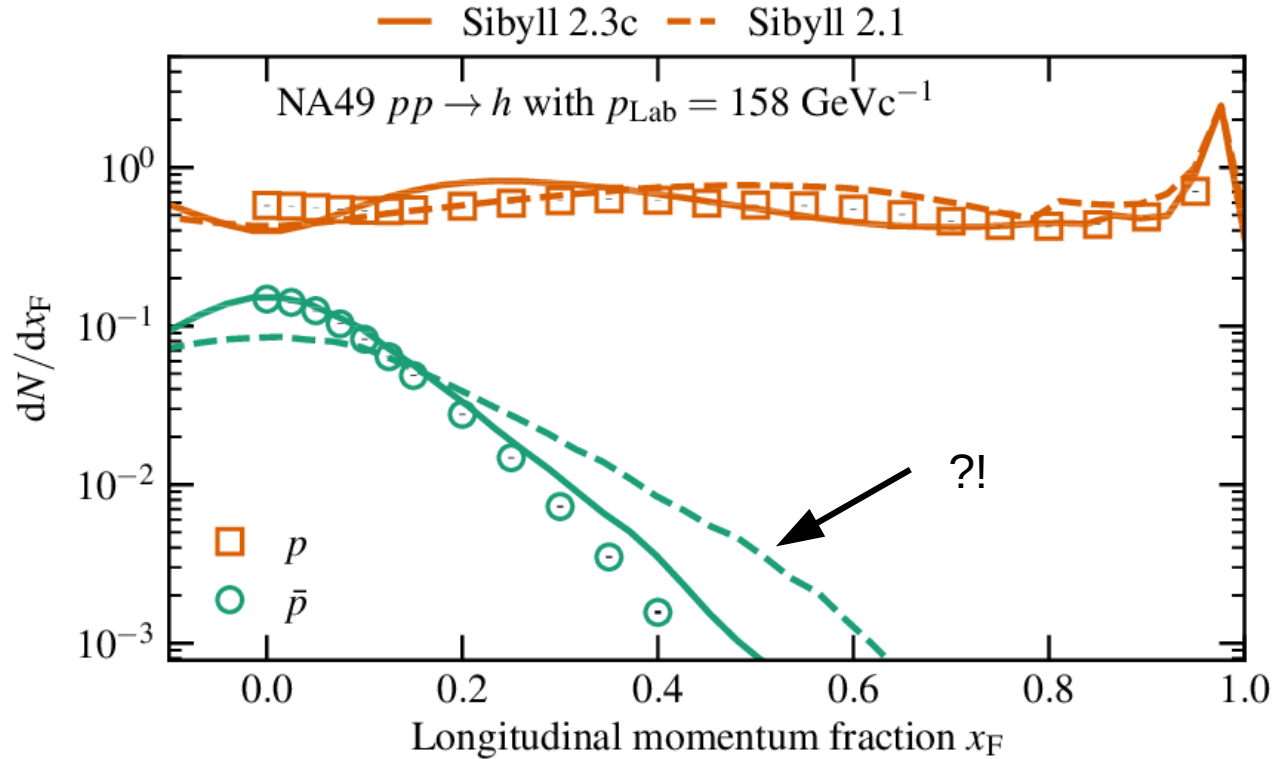
Baryon production



Leading particles



Leading particles I

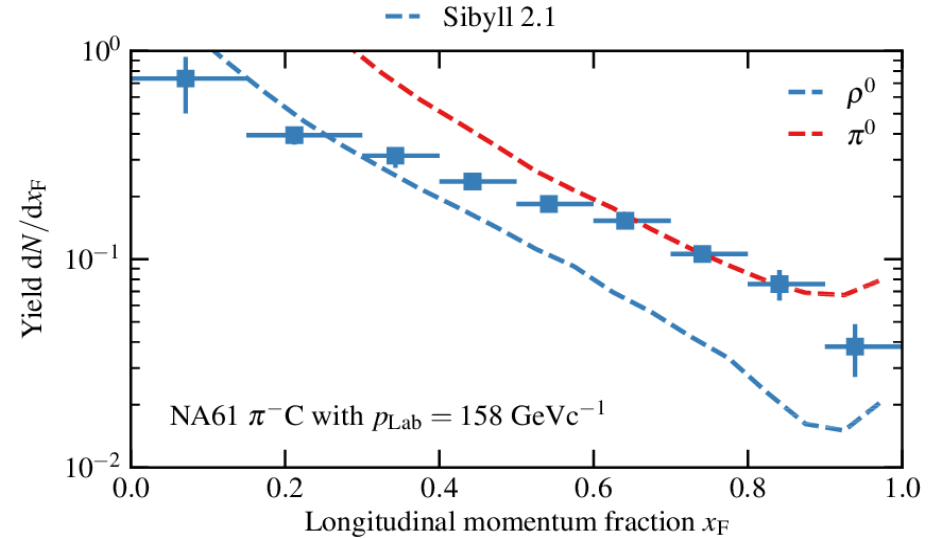
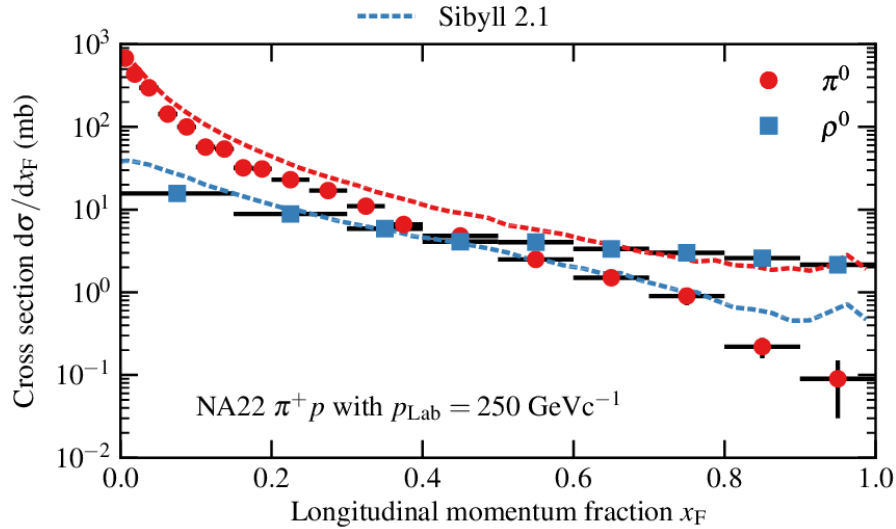


Leading particles II

$\pi^+ + p \rightarrow \text{leading} + X$

leading : π, ρ

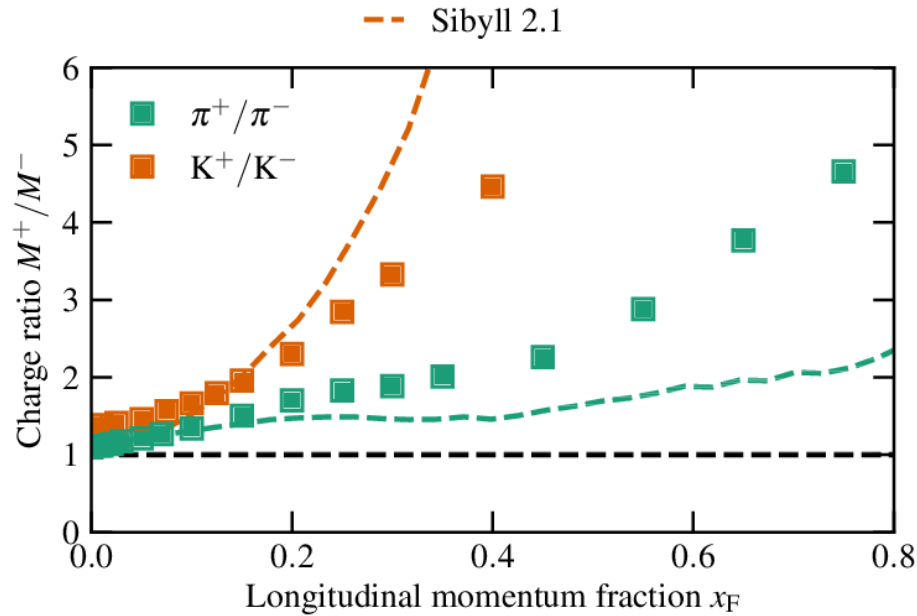
π Air?



$$P_{\pi:\rho} = 1/3$$



Leading particles III

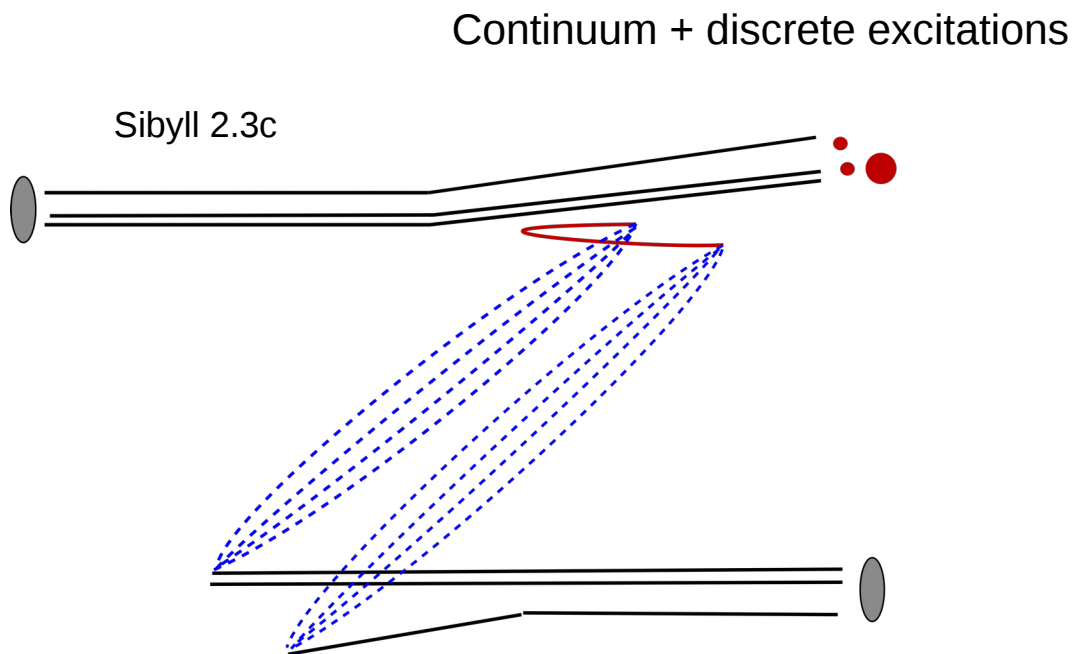


Directly affects muon charge ratio in atmosphere

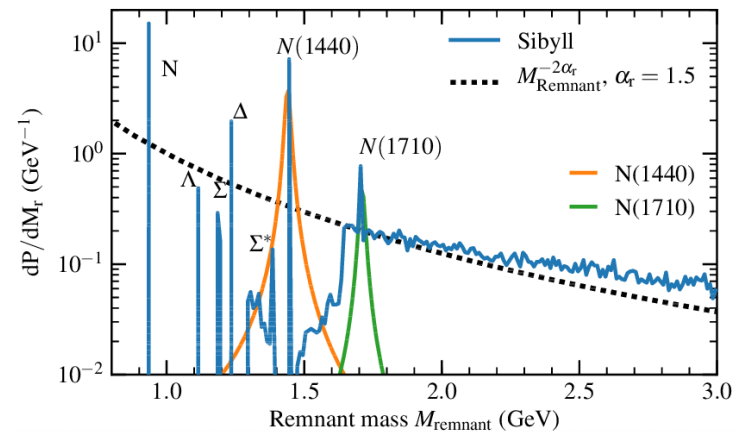
See lecture by A. Fedynitch on Thursday

Need more freedom for leading

Beam remnants

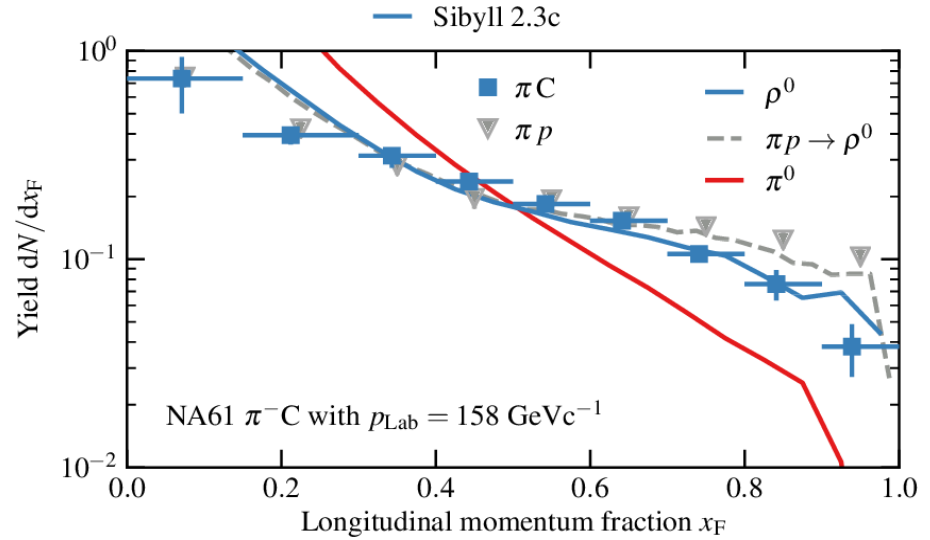
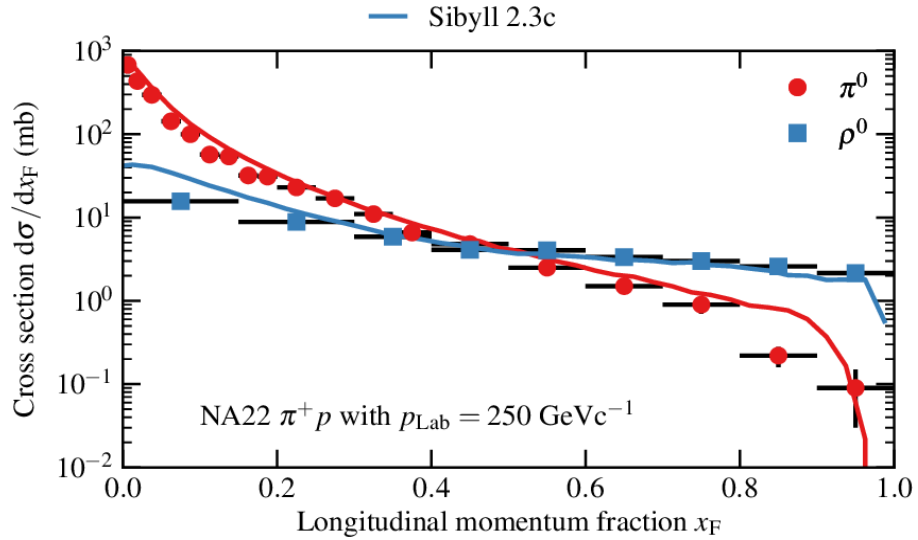


(Drescher et al., Werner et al.)

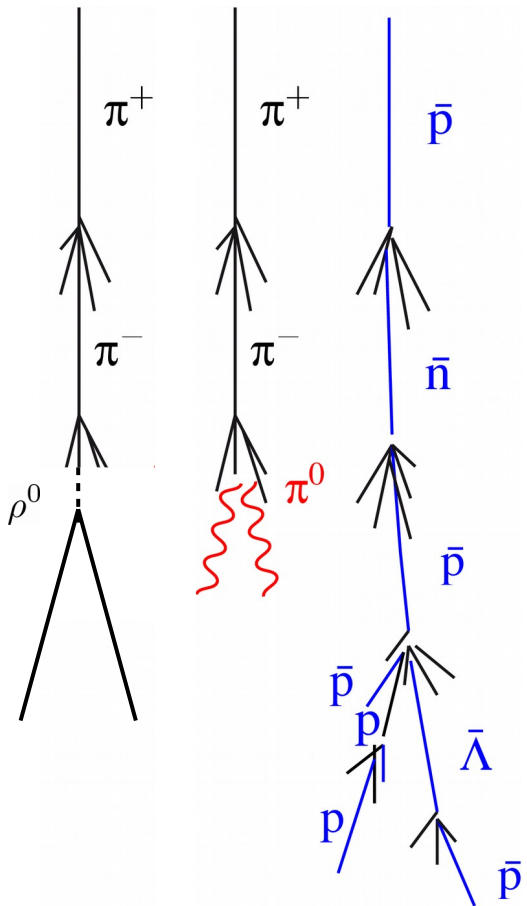


	Δ^{++}				
$\pi^+ p$	1	Δ^+	N^+		
$\pi^+ n$	1/3	2/3			
$\pi^0 p$	2/3	-1/3	Δ^0	N^0	
		$\pi^0 n$	2/3	1/3	
		$\pi^- p$	1/3	-2/3	Δ^-
			$\pi^- n$	1	

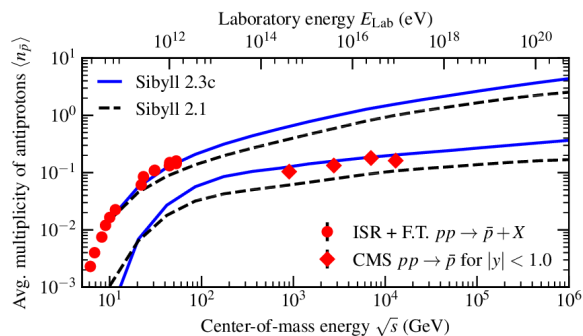
Leading Rho



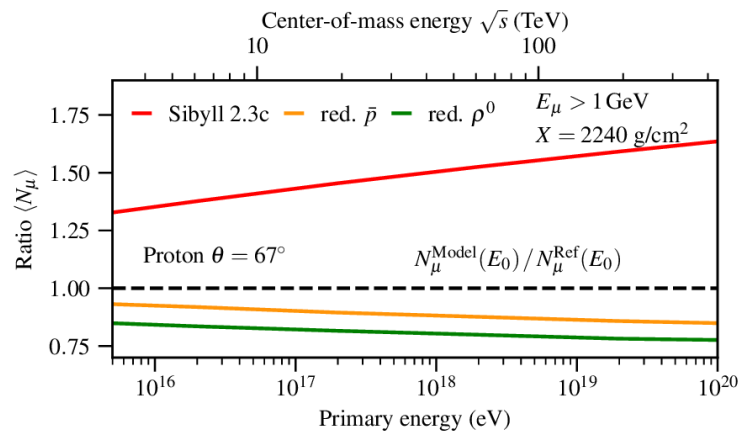
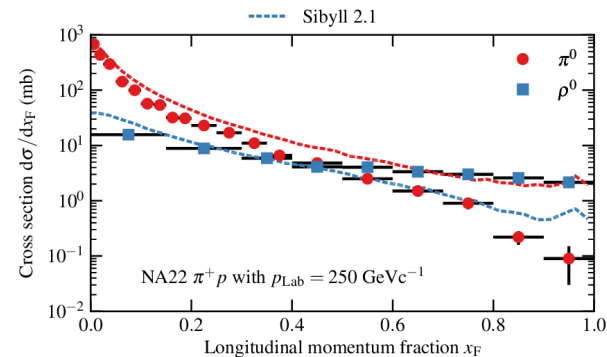
Air shower model? Leading important?



* Baryon production

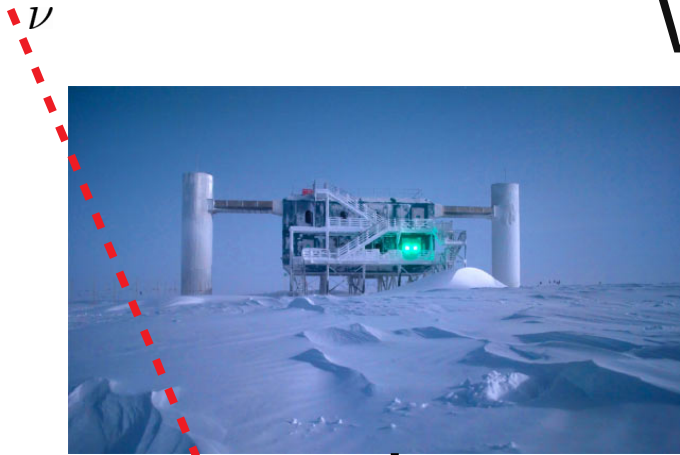


* leading rho0

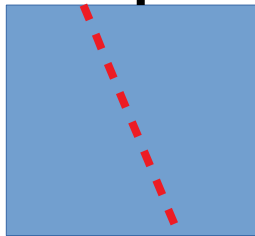


Charm production

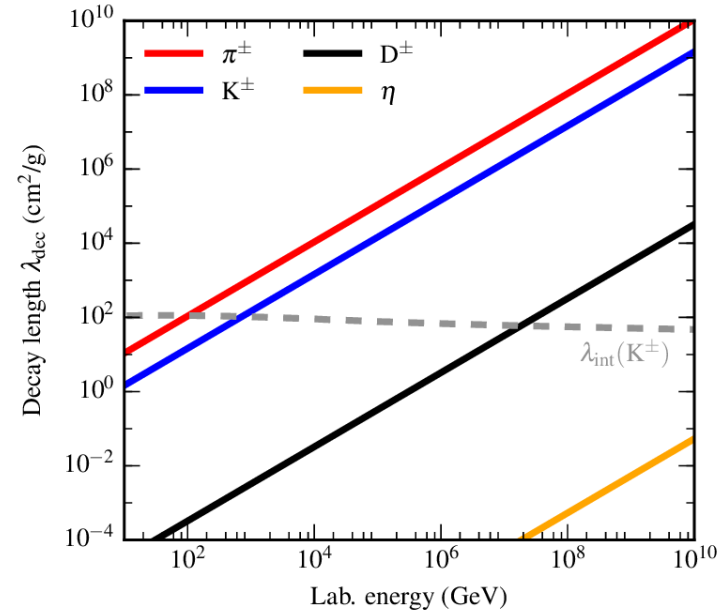
Why charm ?



~2km → E_thr !

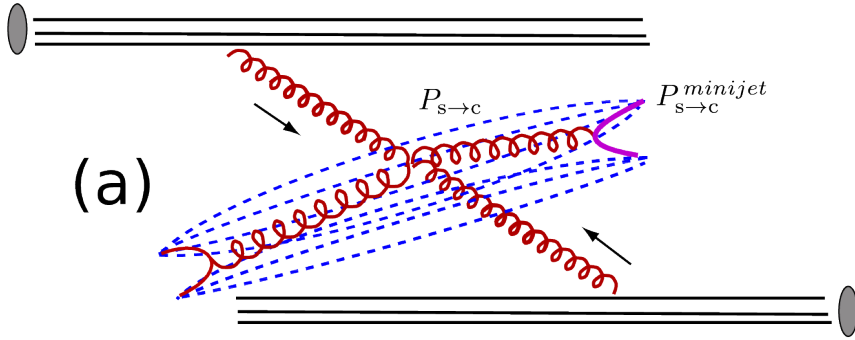


→ high energy muon/neutrinos ~ PeV



Dominant source → charm! (or astro)

Charm production

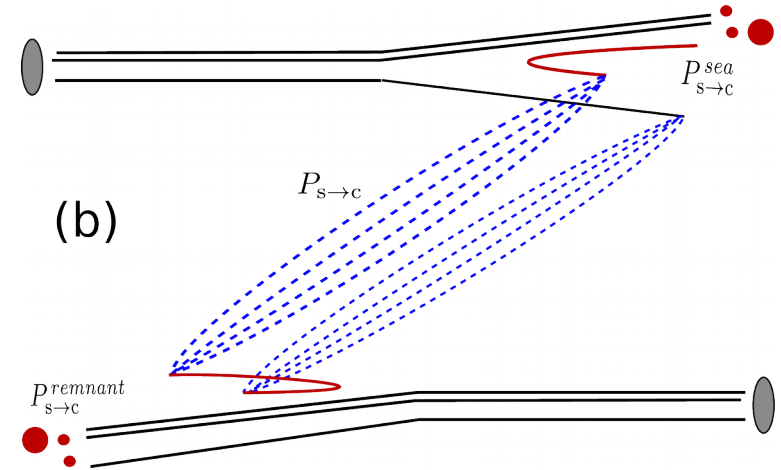


$$m_c \approx 2 \text{ GeV} \rightarrow \text{pQCD} \rightarrow \text{minijets}$$

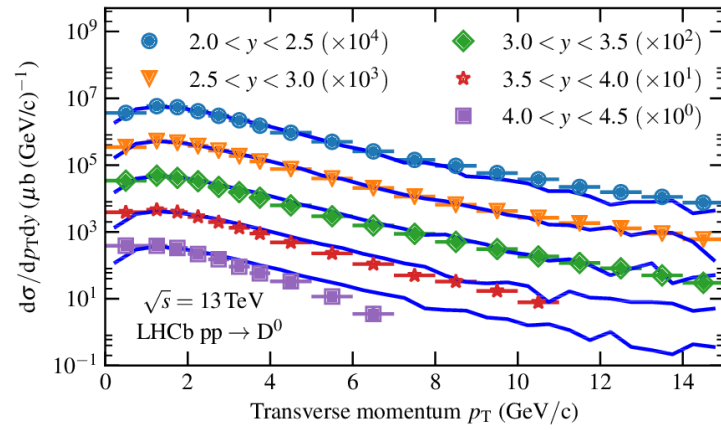
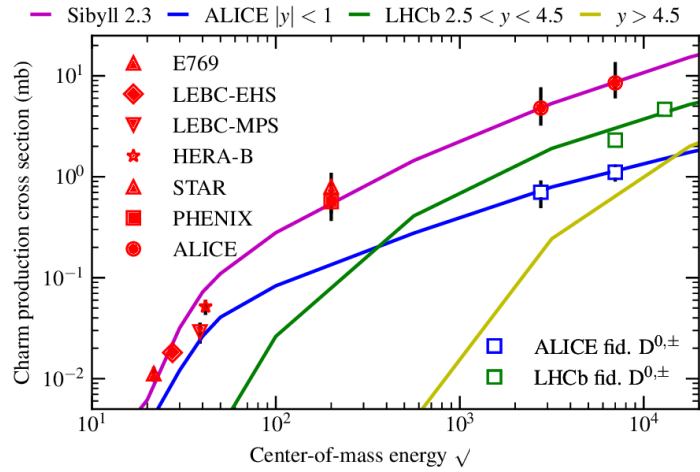
Evidence for leading,
soft charm

Mechanism:
Replace strange \rightarrow charm

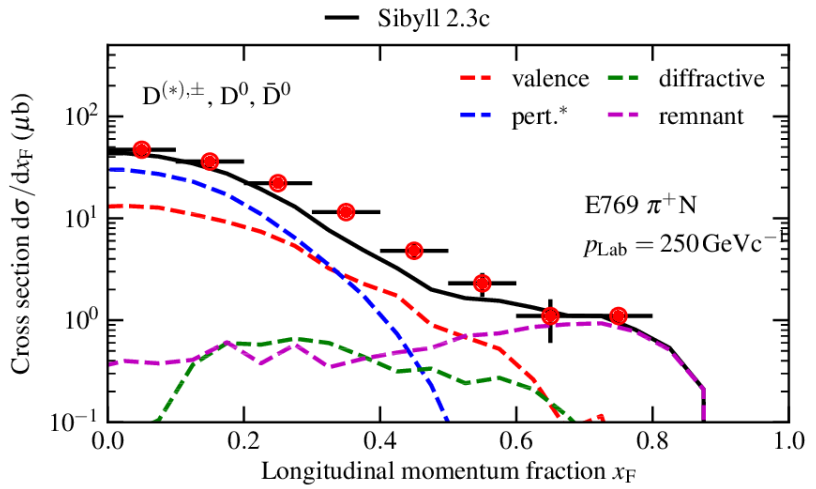
$$P_{s \rightarrow c}$$



Charm tuning



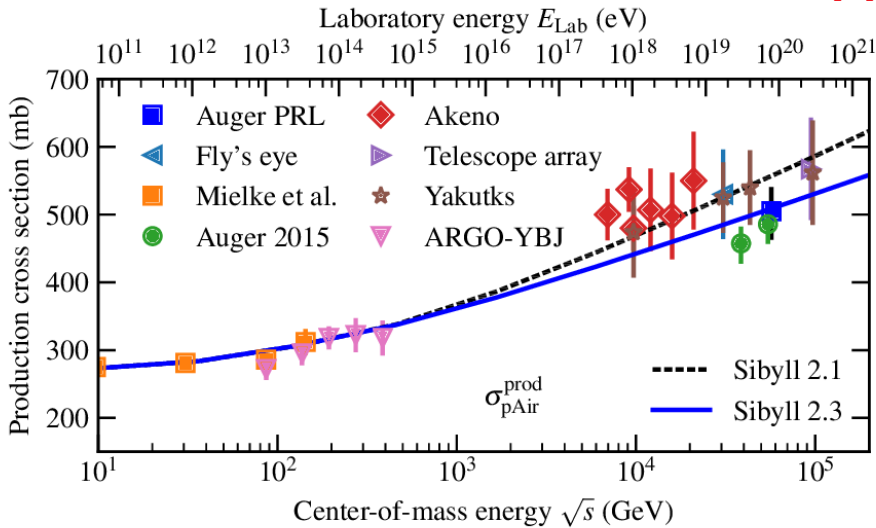
parameter	value
perturbative	
$P_{s \rightarrow c}^{\text{minijet}}$	0.08
non-perturbative	
$P_{s \rightarrow c}^{\text{soft}}$	0.004
$P_{s \rightarrow c}^{\text{sea}}$	0.002
$P_{s \rightarrow c}^{\text{remnant}}$	0.0
$P_{s \rightarrow c}^{\text{string}}$	0.004



Fixed target
Determine
spectral
shape!

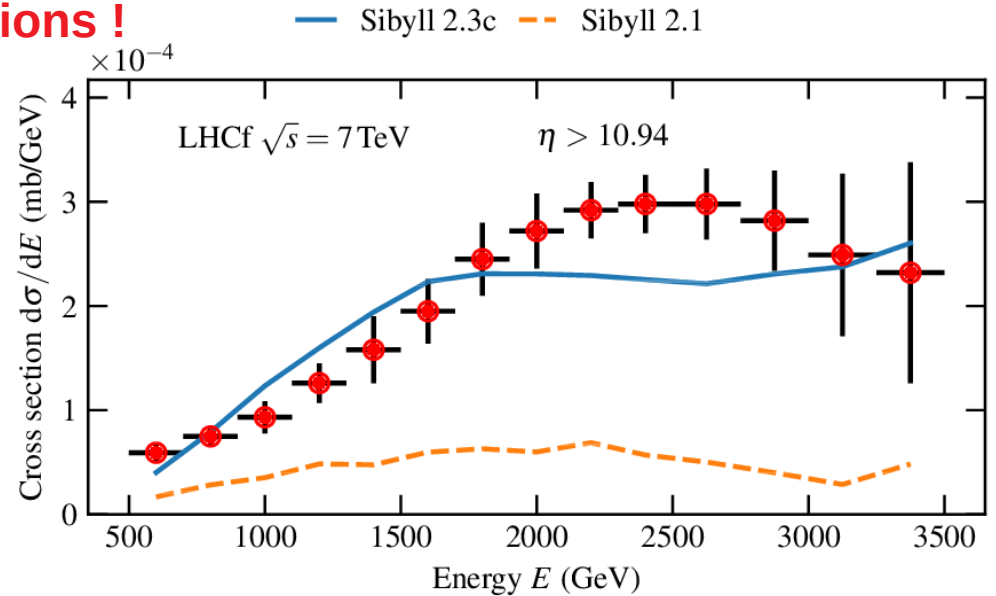
Performance tests

p-air cross section



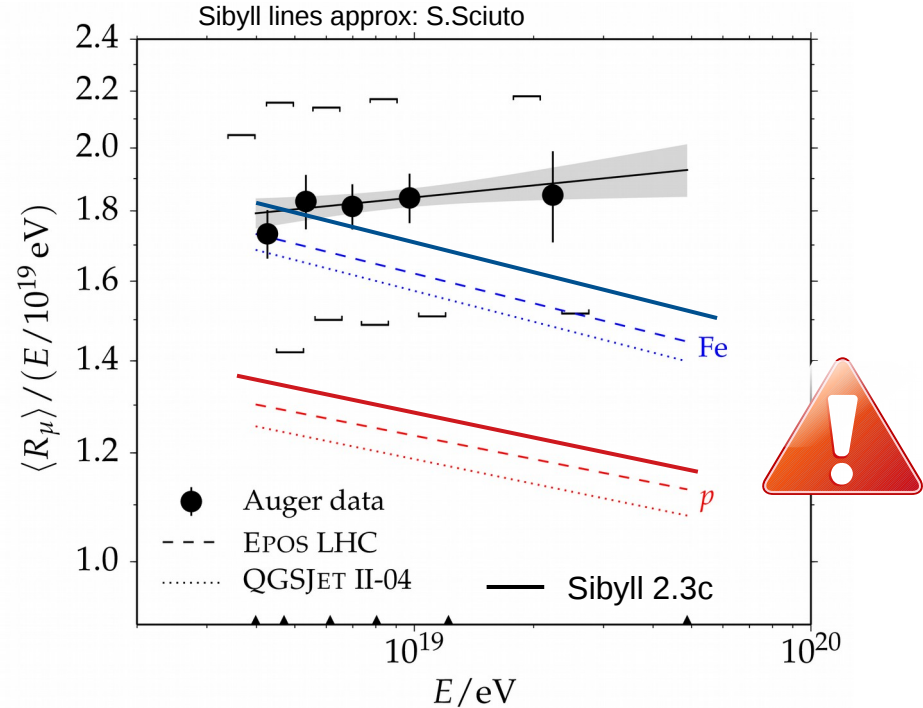
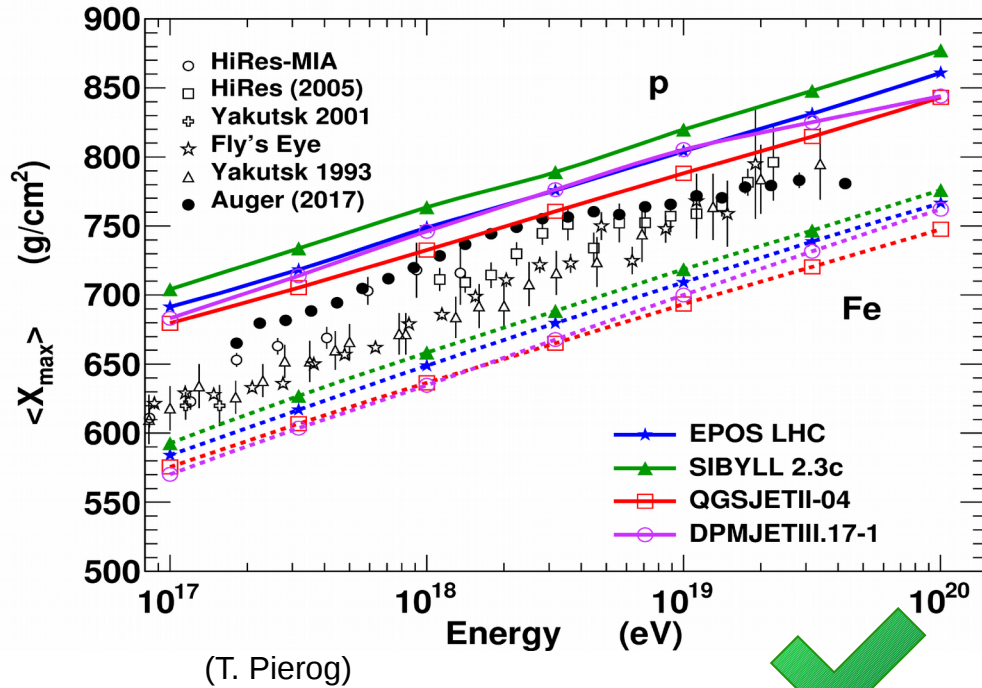
Predictions !

Leading neutrons



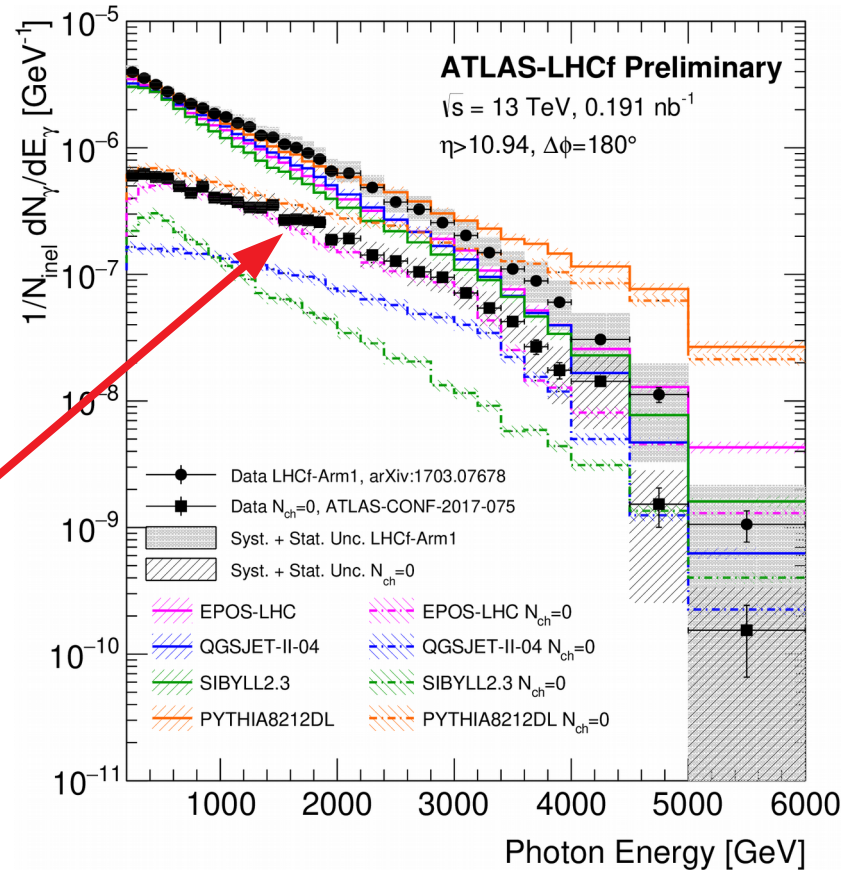
Nice ! Perfect model for air showers?

Predictions for EAS ?



(Auger, Phys. Rev. D, 91, 032003 (2015))

Opportunities for improvements



Selection of
Diffraction !

Summary



SIBYLL is a fast event generator for hadronic interactions

- * LO QCD jets
- * saturation
- * string fragmentation
- * beam remnant model

→ describes overall features of hadronic particle production

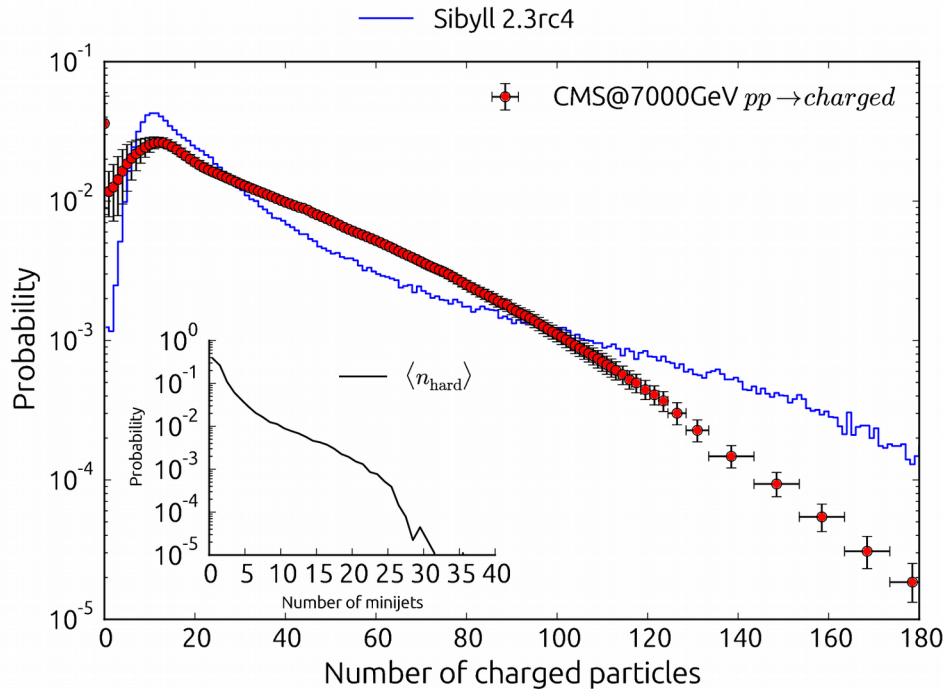
Special feature for CR models: * charm production

- * Prediction of shower maximum consistent
- * Muon production still problematic

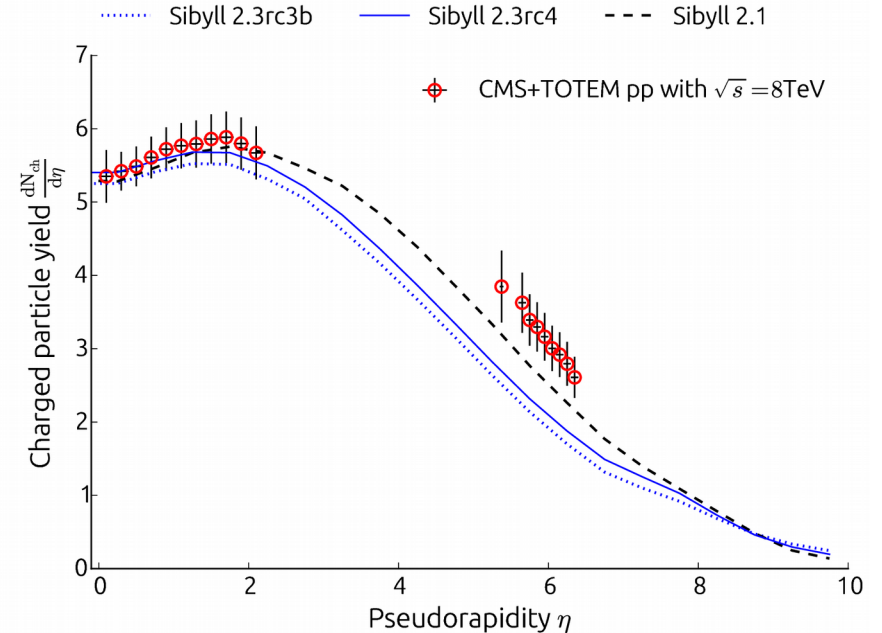
==> no strong evidence that SIBYLL is NOT sufficient to describe EAS

Opportunities for improvements (problems)

Structural → revision of interaction picture (b-dependent saturation)

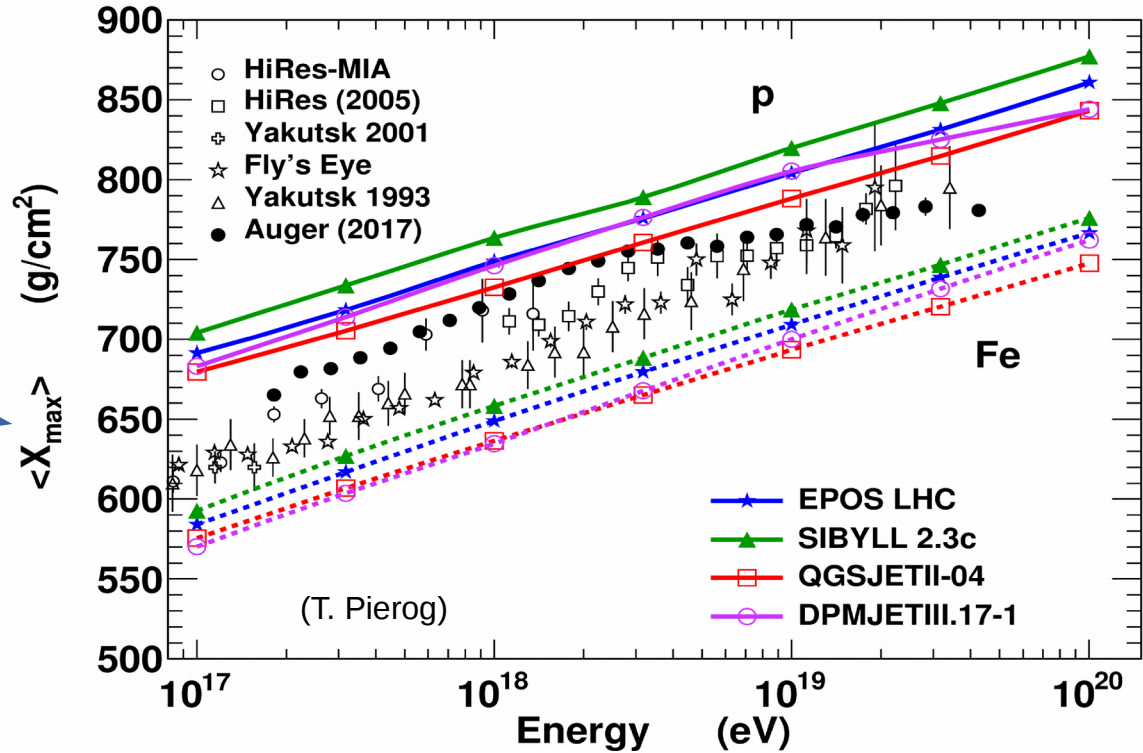
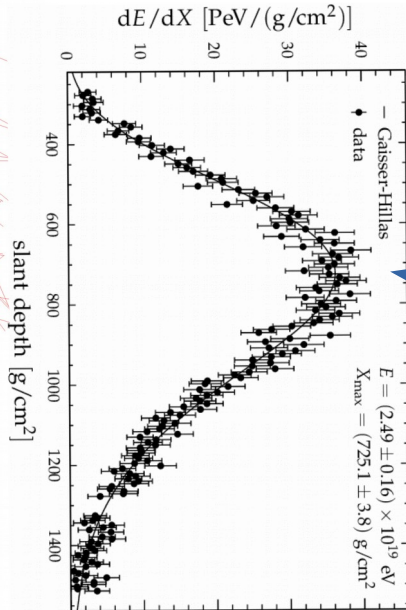


Structural → no DGLAP, extreme factorization ↔ inconsistent with modern (LHC) PDFs



Does it matter? EAS performance

See P. Lipari talk



EAS performance: consistency

