

# Generator comparisons SIS/DIS region

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2018-10-13



- Generator comparison: run the different generators and compare the outputs, and try to understand what causes the differences
- Focus on **charged current interactions**  
Assume SIS/DIS region =  **$W > 1.7$  GeV**  
All interactions from **muon neutrinos and anti-neutrinos**
- Only consider CC resonant and DIS modes (no QE, 2p2h)
- Comparisons on kinematical variables ( $W$ ,  $Q^2$ , muon momentum and angle) and multiplicities (charged hadrons and pions)
- **Plots normalized by area** in comparisons  
(shape comparison only, no cross-section comparison)

Compared the following 3 generators:

→ **NEUT 5.4.0**

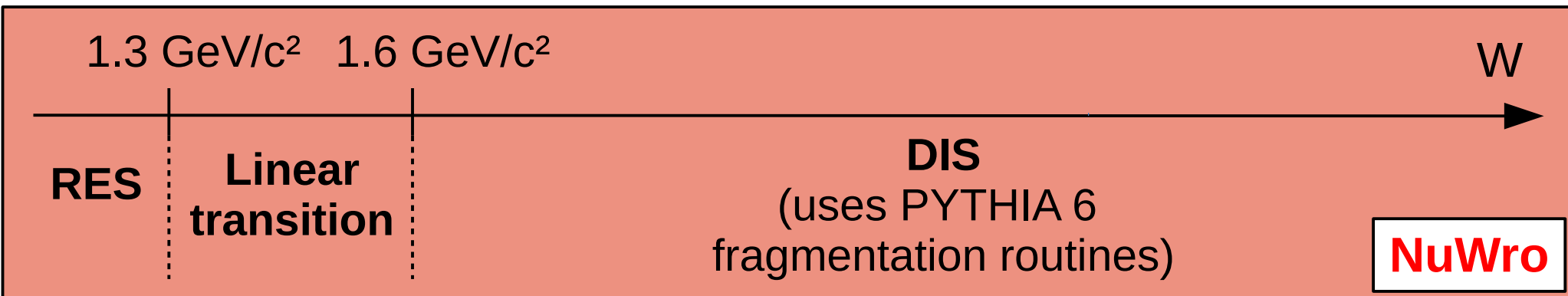
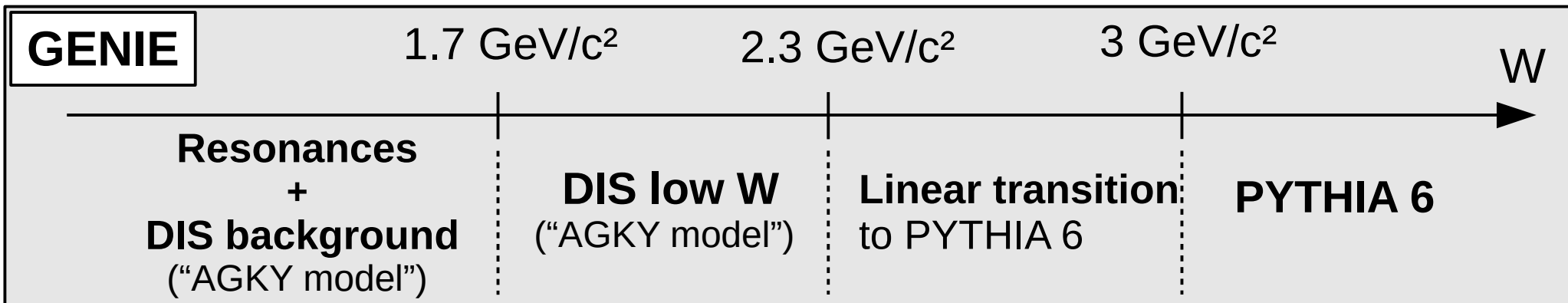
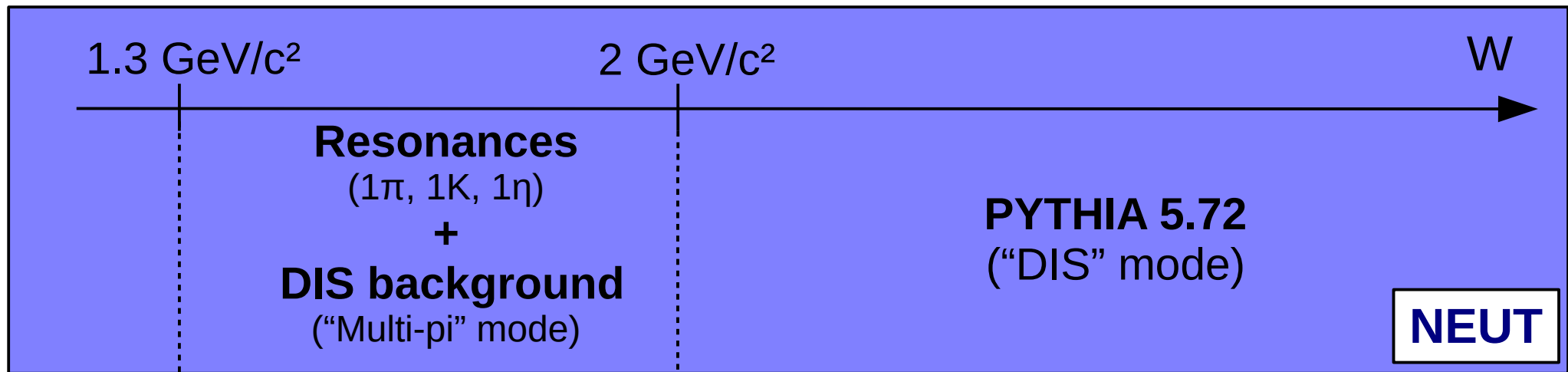
→ **GENIE 2.12.10**

→ **NuWro 18.02.1**

} CC DIS and RES modes only  
(+QE charm for GENIE)

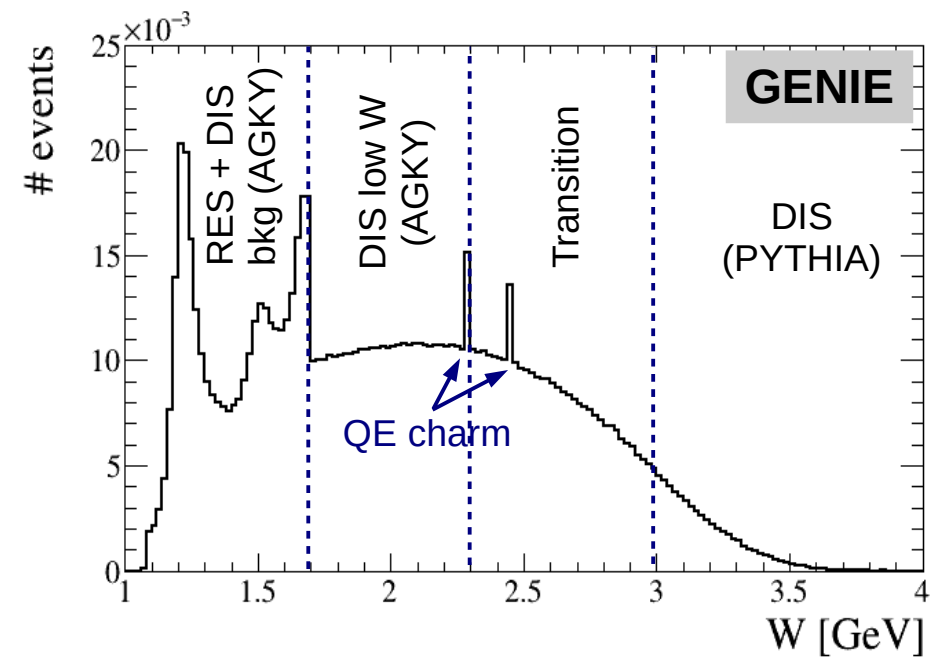
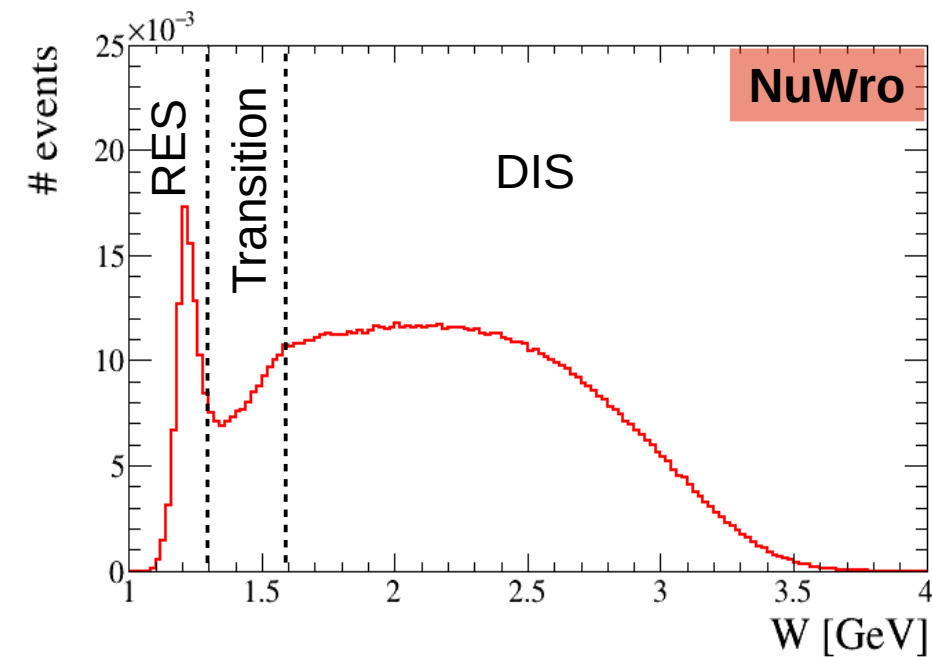
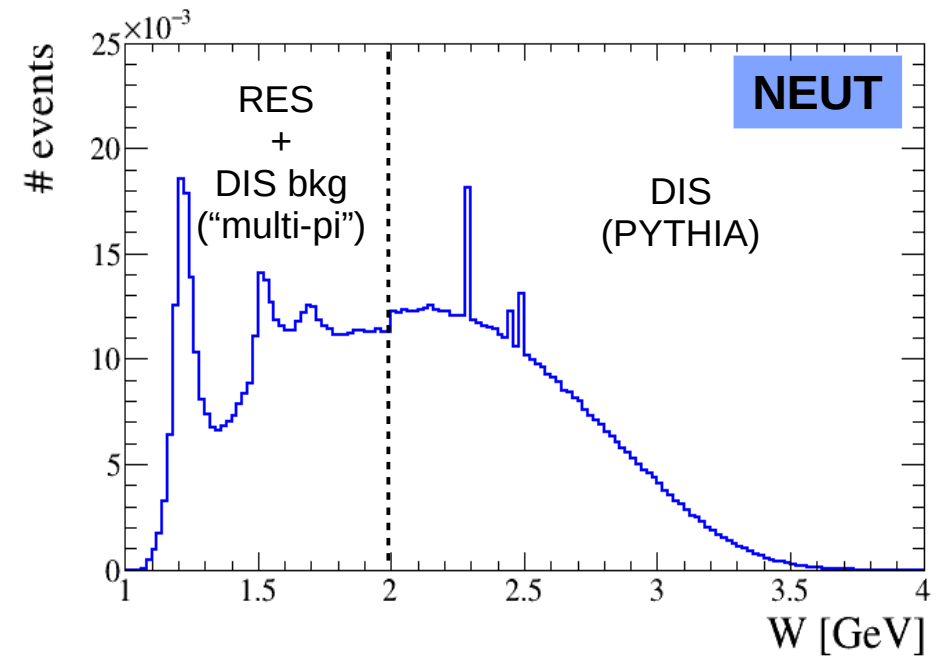
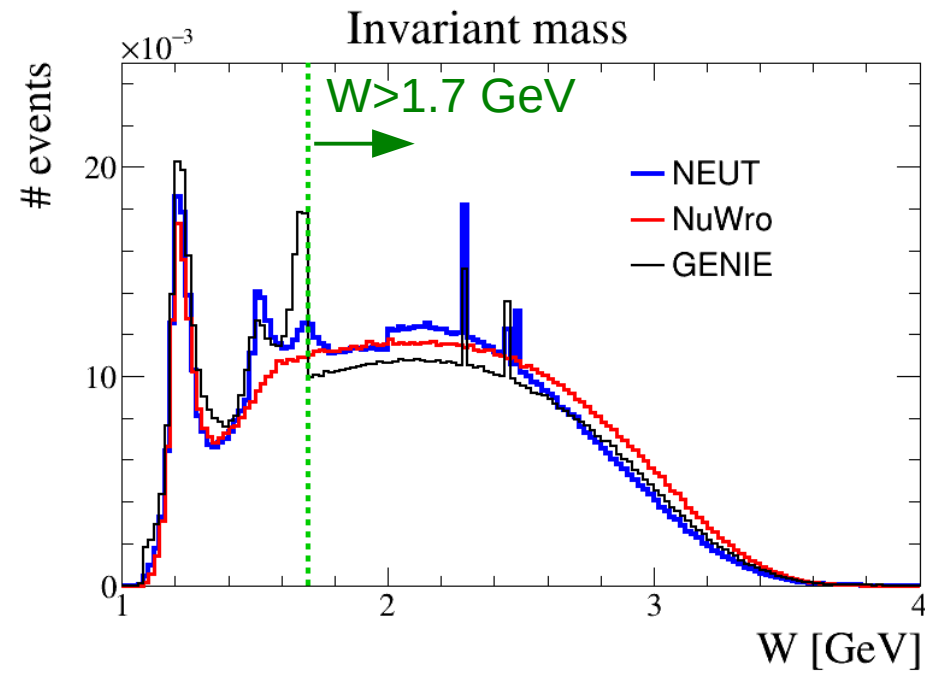
Except when stated otherwise, generators ran with their default settings

# SIS/DIS region in the generators



# Invariant mass distribution

$\nu_\mu$  on Fe,  $E_\nu=6.0$  GeV

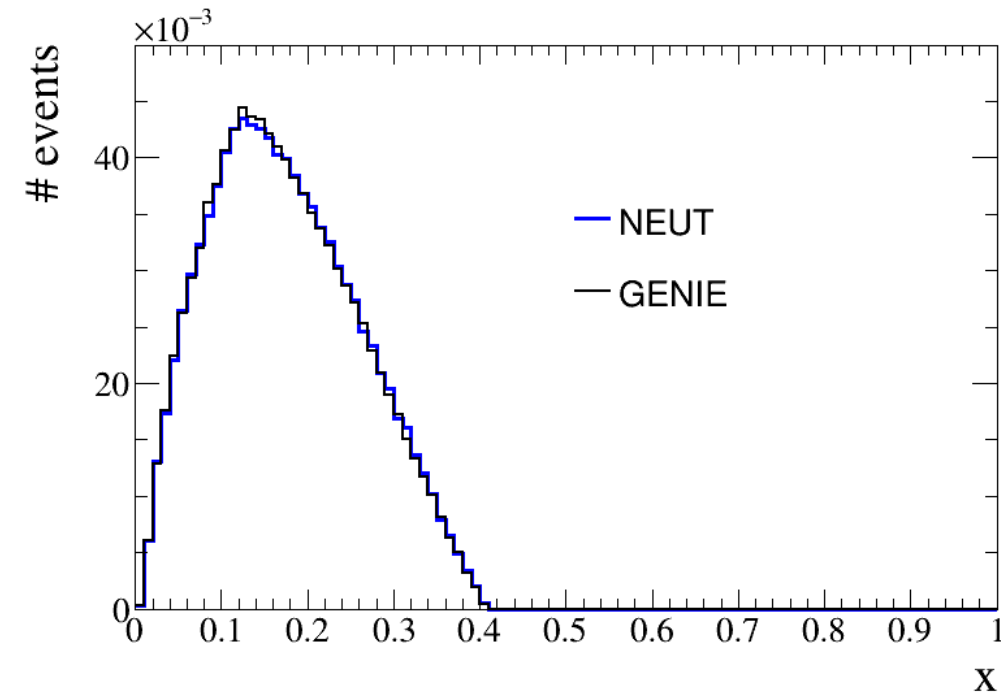


# Global kinematics comparison

- Compare the different parts of the DIS models between generators
- Consider two regions where generators use the same kind of models:
  - “high  $W$ ”: all the generators use PYTHIA:  $W > 3 \text{ GeV}$
  - “low  $W$ ”: generators use their custom DIS model:  $1.7 \text{ GeV} < W < 2 \text{ GeV}$
- In comparisons of interactions on nuclear targets, many nuclear effects can add differences between predictions of the generators:
  - Final state interactions
  - nuclear corrections to PDF
  - model used for nucleon momentum
- Start by looking at interactions on free nucleons to look at the nucleon level differences between the generators

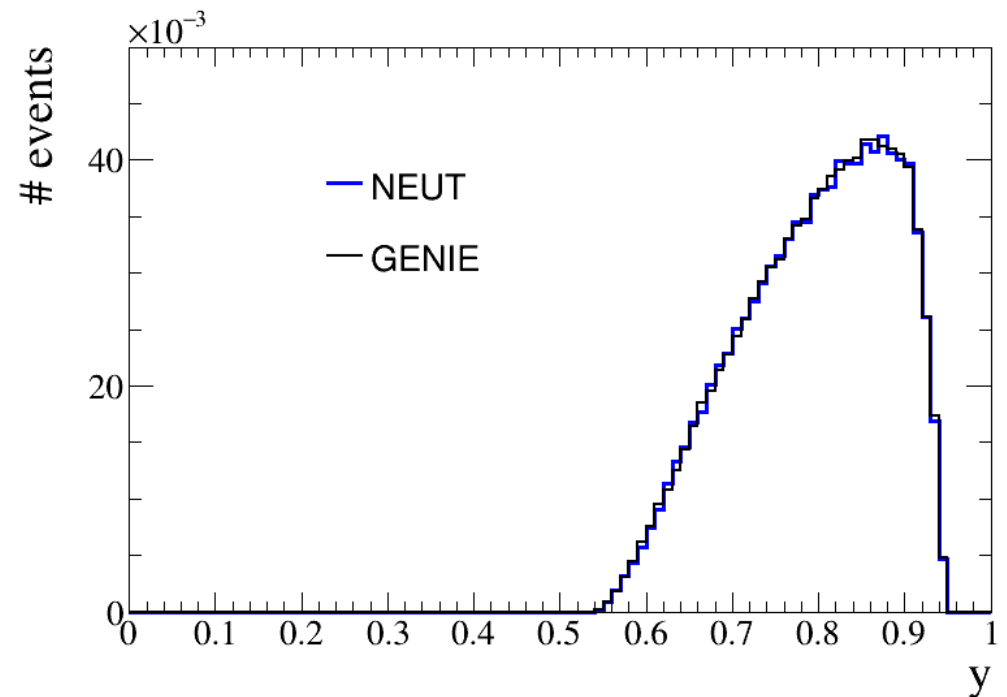
# Low W models

The predictions for Bjorken  $x$  and  $y$  are similar for the low  $W$  models of GENIE and NEUT if used in the same way  
(DIS only,  $1.7 \text{ GeV} < W < 2 \text{ GeV}$ , at least 2 pions)



NEUT settings:

- default



GENIE settings:

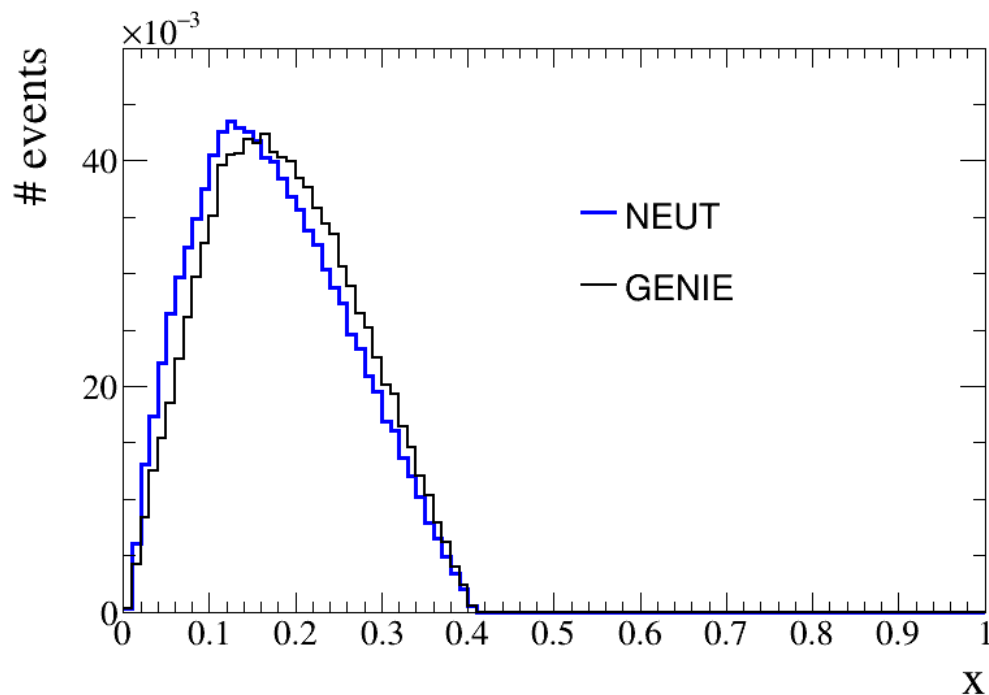
- DISSF-Use2016Corrections false  $\rightarrow$  true  
- DISSF-LowQ2CutoffF1F2 0.8  $\rightarrow$  0.0

2 GeV  $\nu_\mu$  on free protons,  $n_\pi \geq 2$

# Low W models

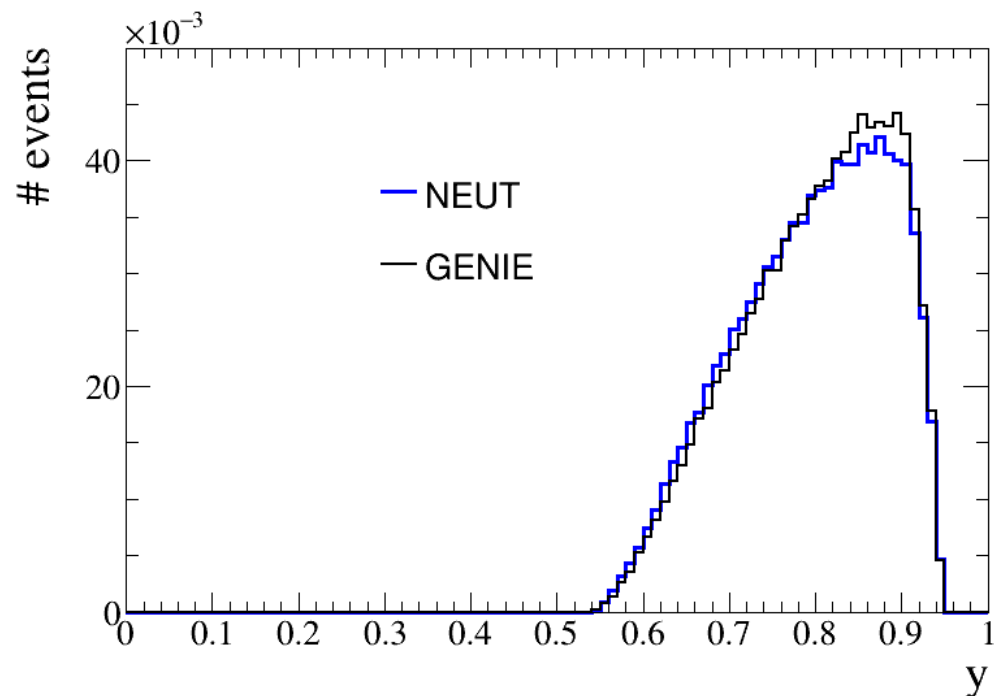
## Scaling variables

In default GENIE settings, corrections for the scaling variable used and freezing of  $Q^2$  in the relation between structure function is not enabled.



NEUT settings:

- default



GENIE settings:

- default

2 GeV  $\nu_\mu$  on free protons

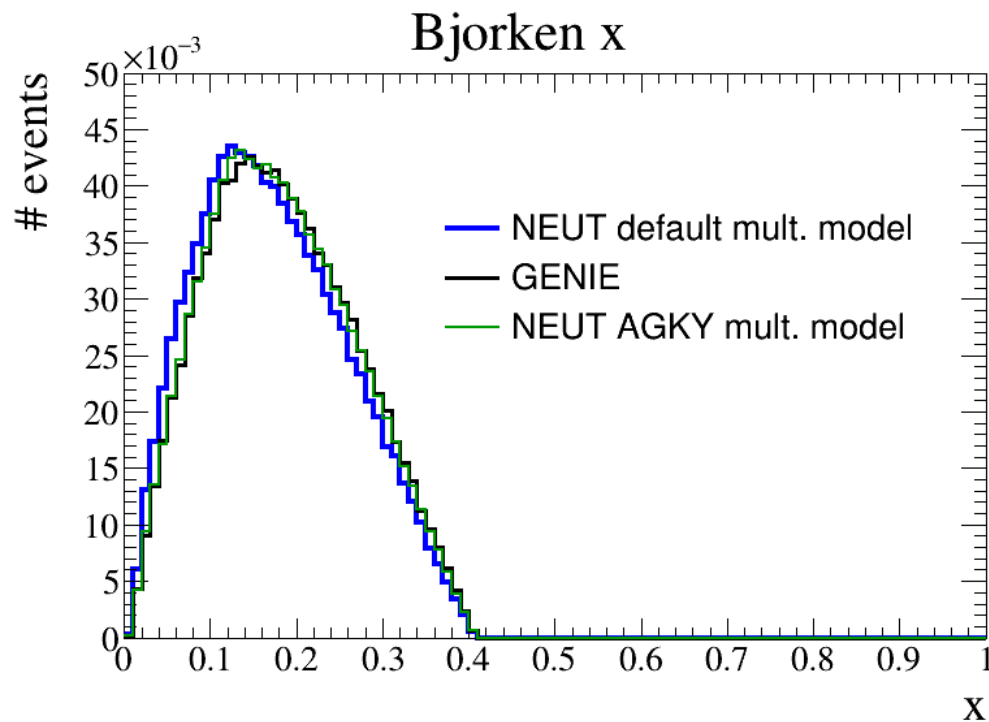
(DIS only,  $1.7 \text{ GeV} < W < 2 \text{ GeV}$ ,  $n_\pi \geq 2$ )



# Low W models

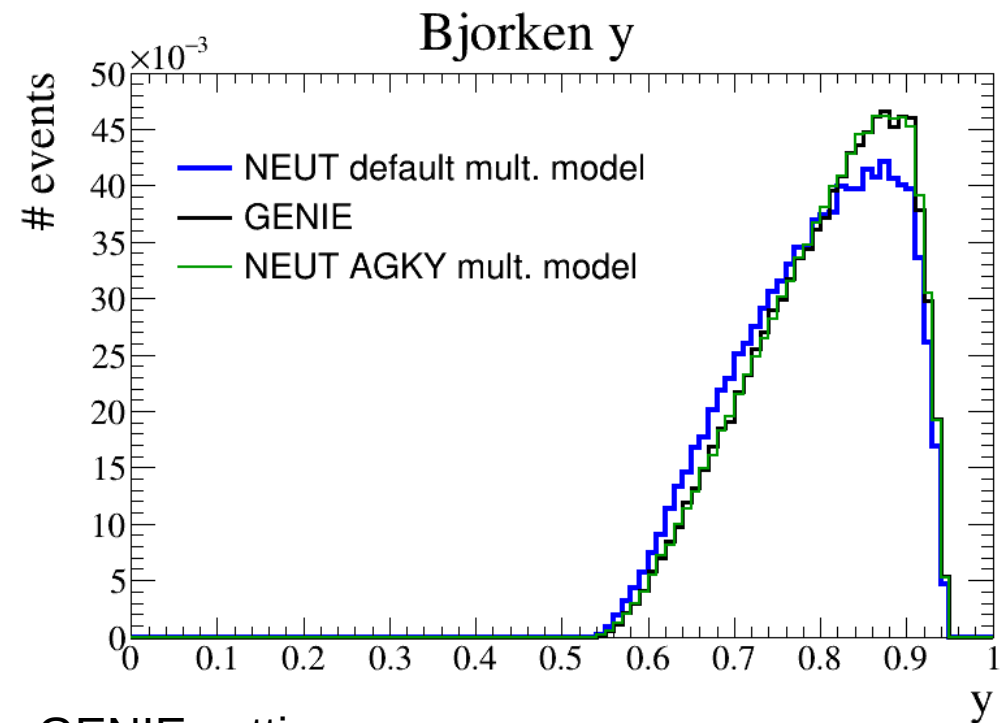
## Multiplicity model

For combinations of  $\nu/\bar{\nu}$  and target nucleons for which NEUT nominal multiplicity model is different from GENIE's ones, this creates differences in  $x, y$  (so in  $W/Q^2$ )



NEUT settings:

- default



GENIE settings:

- DISSF-Use2016Corrections false  $\rightarrow$  true  
 - DISSF-LowQ2CutoffF1F2 0.8  $\rightarrow$  0.0

2 GeV  $\nu_\mu$  on free neutrons

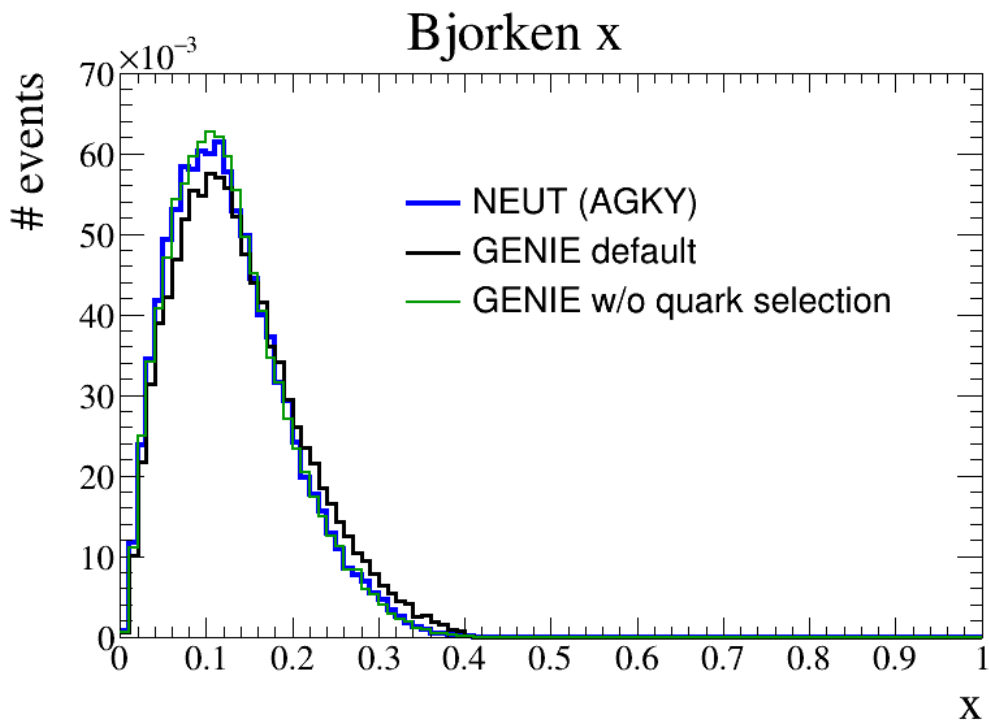
(DIS only,  $1.7 \text{ GeV} < W < 2 \text{ GeV}$ ,  $n_\pi \geq 2$ )

# Low W models

## Anti-neutrinos

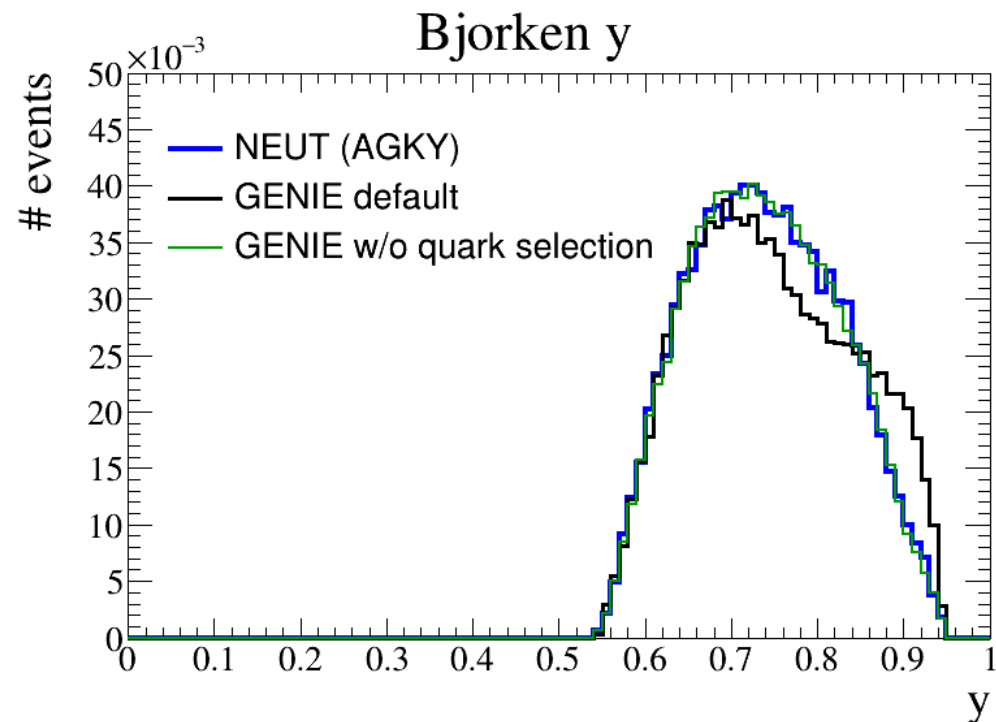
By default, GENIE computes cross-section for reactions on each type of quark, and then generates (x,y) using only the contribution of this type of quark in structure functions.

It creates a difference for anti-neutrinos.



NEUT settings:

- AGKY multiplicity model



GENIE settings:

- DISSF-Use2016Corrections false  $\rightarrow$  true
- DISSF-LowQ2CutoffF1F2 0.8  $\rightarrow$  0.0

2 GeV  $\bar{\nu}_\mu$  on free neutrons

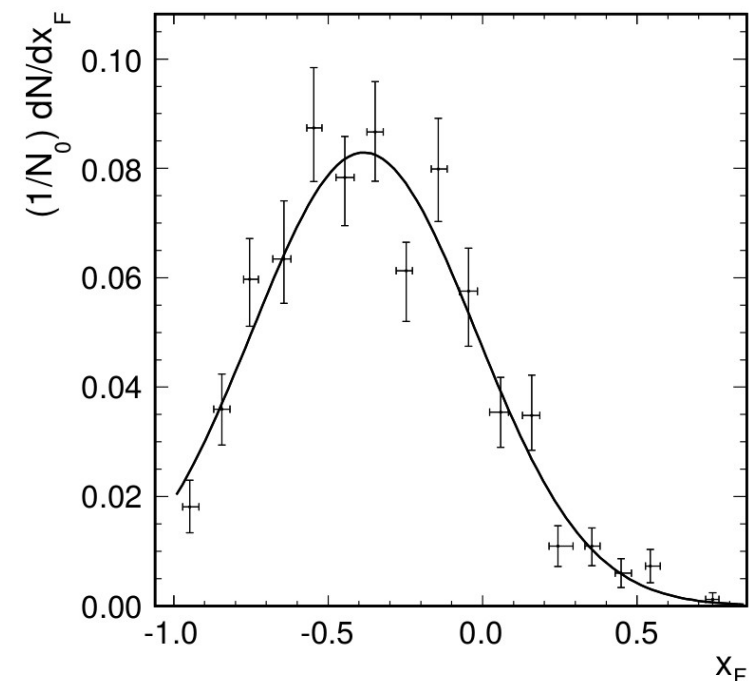
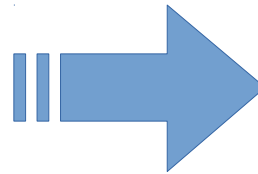
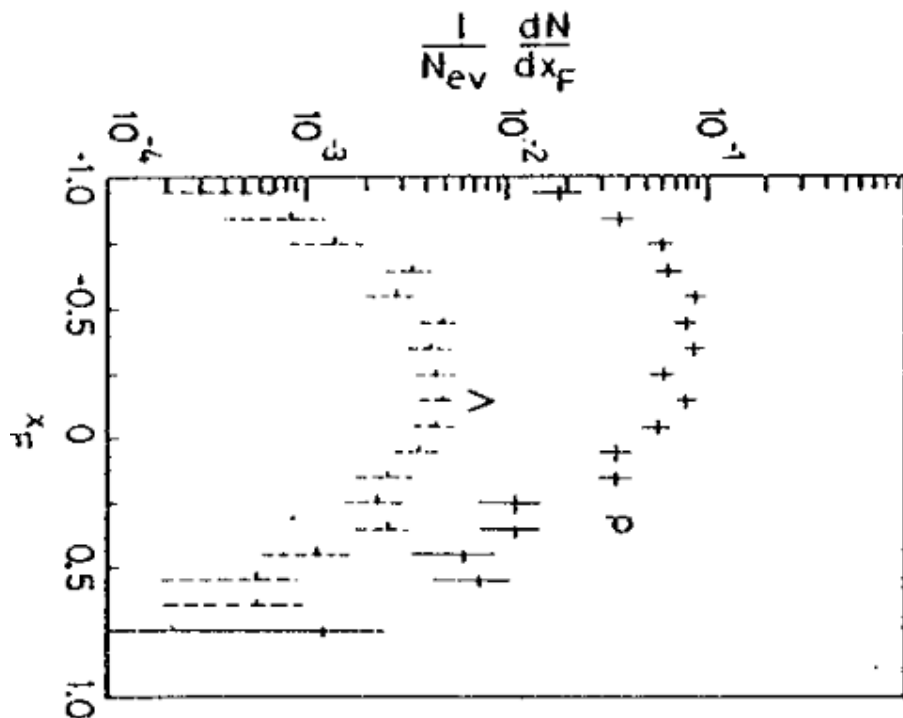
(DIS only, 1.7 GeV < W < 2 GeV,  $n_\pi \geq 2$ )

# Low W models

## Hadron kinematics

Differences in hadron kinematics coming from several differences:

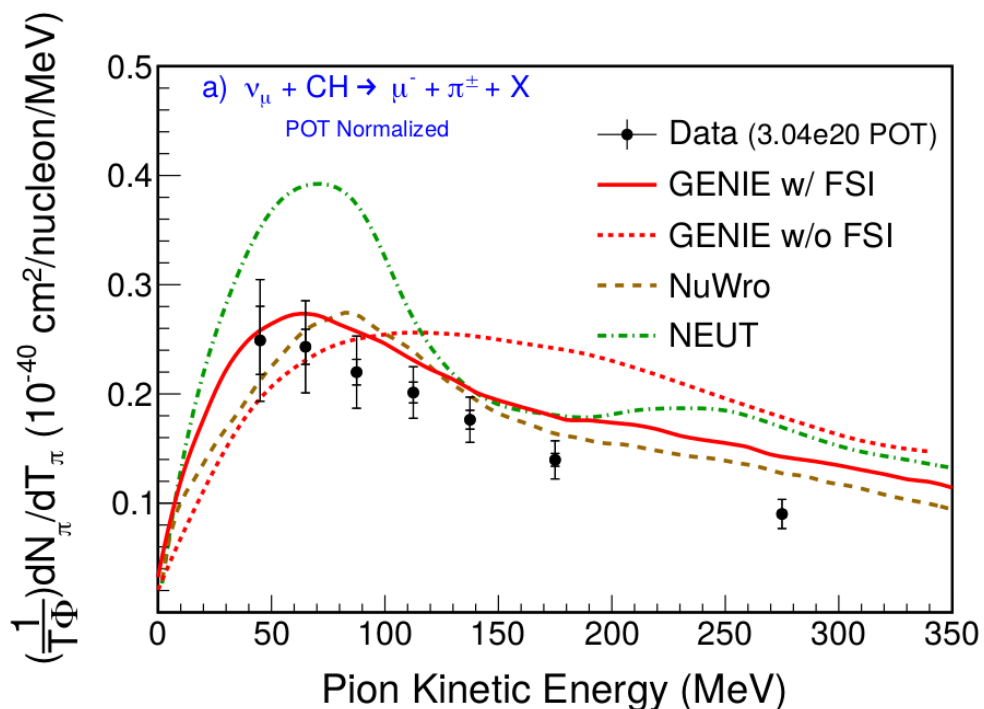
- different multiplicity models:  
different nb of hadrons → available energy per hadron is different
- Differences on how momentum is attributed:
  - GENIE uses experimental distributions of  $x_F$  and  $p_T^2$  for the baryon, remaining hadrons generated using phase space decay
  - in NEUT, all hadrons generated using phase space decay
- Differences in FSI models



# Low W models

## Hadron kinematics

MINERvA CC1 $\pi^\pm$  differential cross section  
 Phys. Rev. D 94, 052005 (2016)



Tried to understand shape difference:

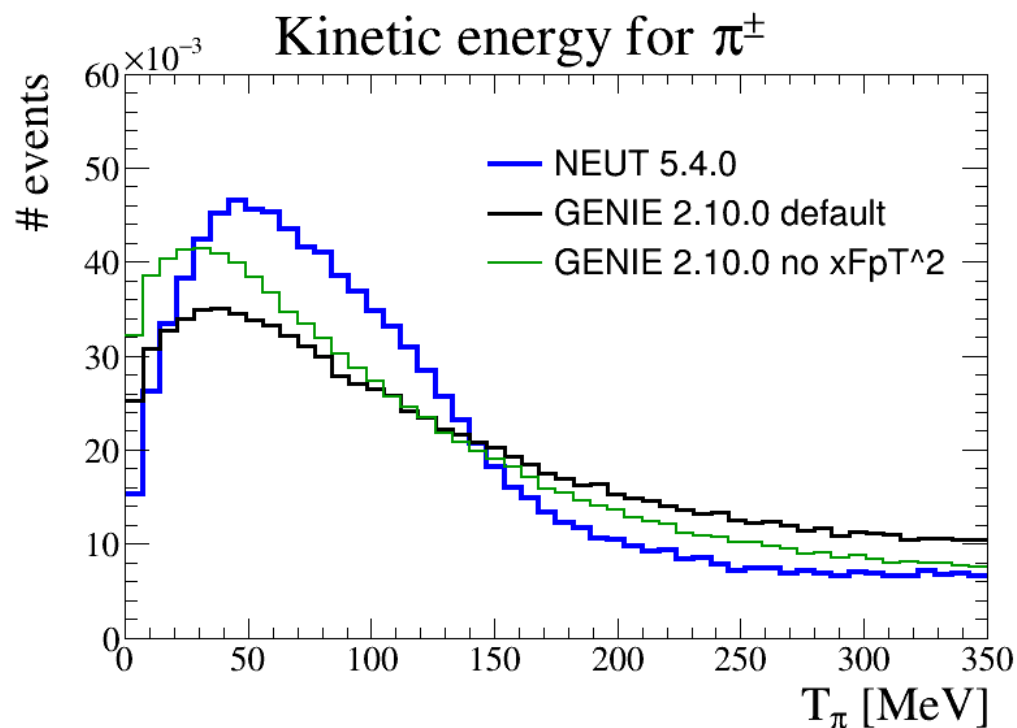
- NEUT 5.4.0 vs GENIE 2.10.0
  - AGKY multiplicity model for NEUT
  - use “2016 corrections” for GENIE
  - keep only events with  $n_\pi \geq 2$
  - CC DIS events only
- Interactions on CH
- Flux: Minerva numu FHC
- Cuts:  $W < 1.8 \text{ GeV}$   
 $1.5 \text{ GeV} < E < 10 \text{ GeV}$

# Low W models

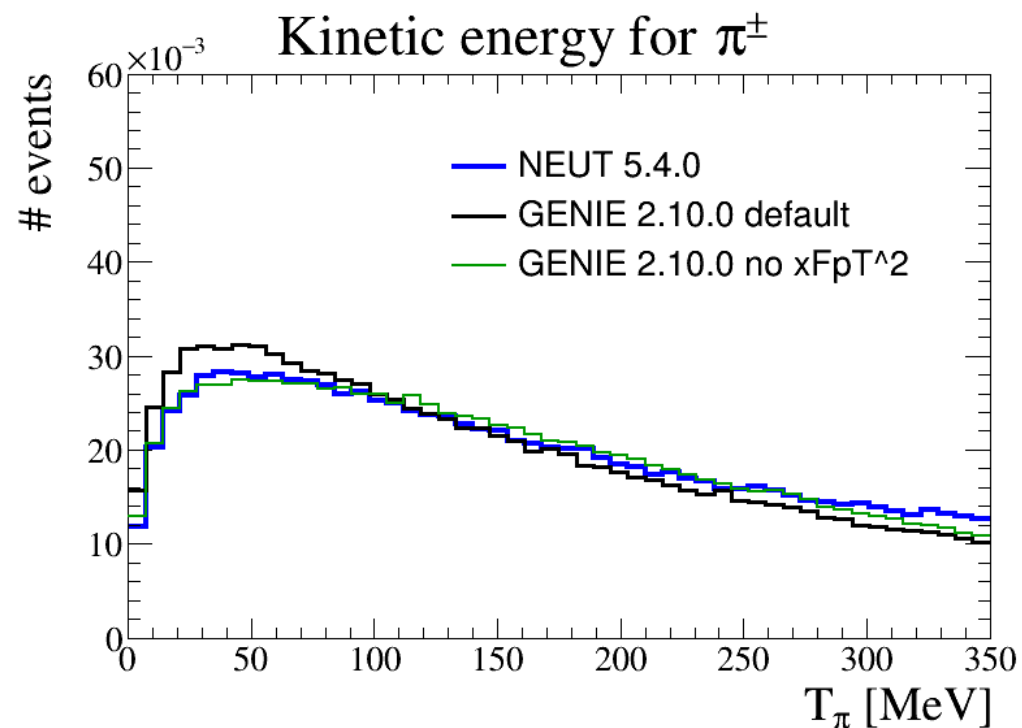
## Hadron kinematics

Main difference found to be coming from FSI model.  
Use of  $x_F/p_T^2$  PDF for the baryon adds some smaller difference

### With FSI



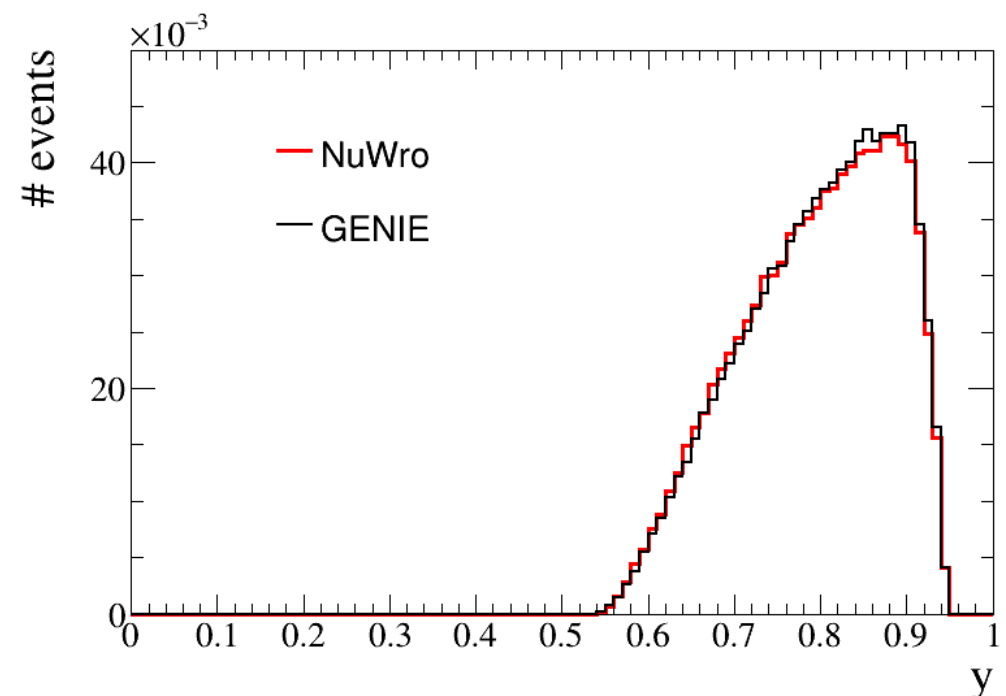
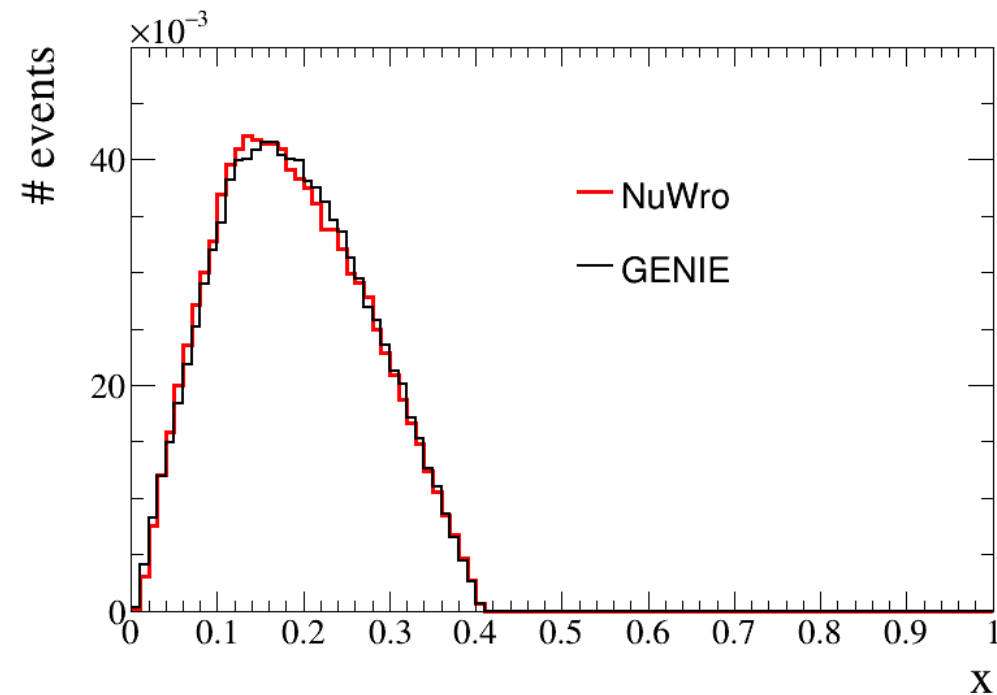
### Without FSI



# Low W models

## NuWro

- NuWro does not have separate low and high W DIS models
- Generates  $(x,y)$  and select hit quark then uses PYTHIA fragmentation routines to produce the event



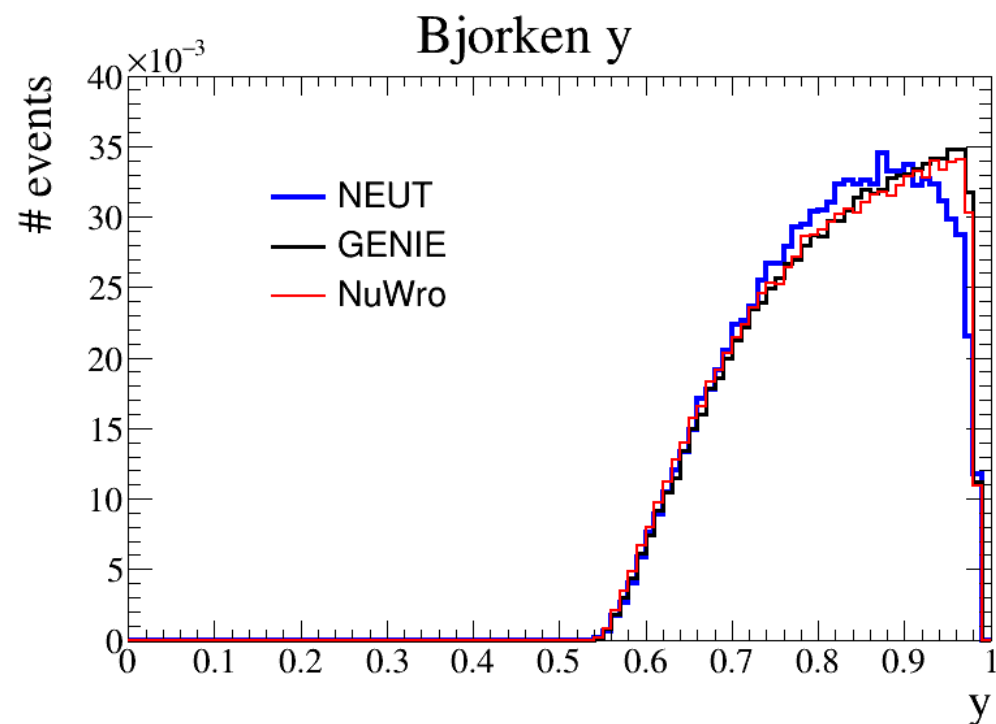
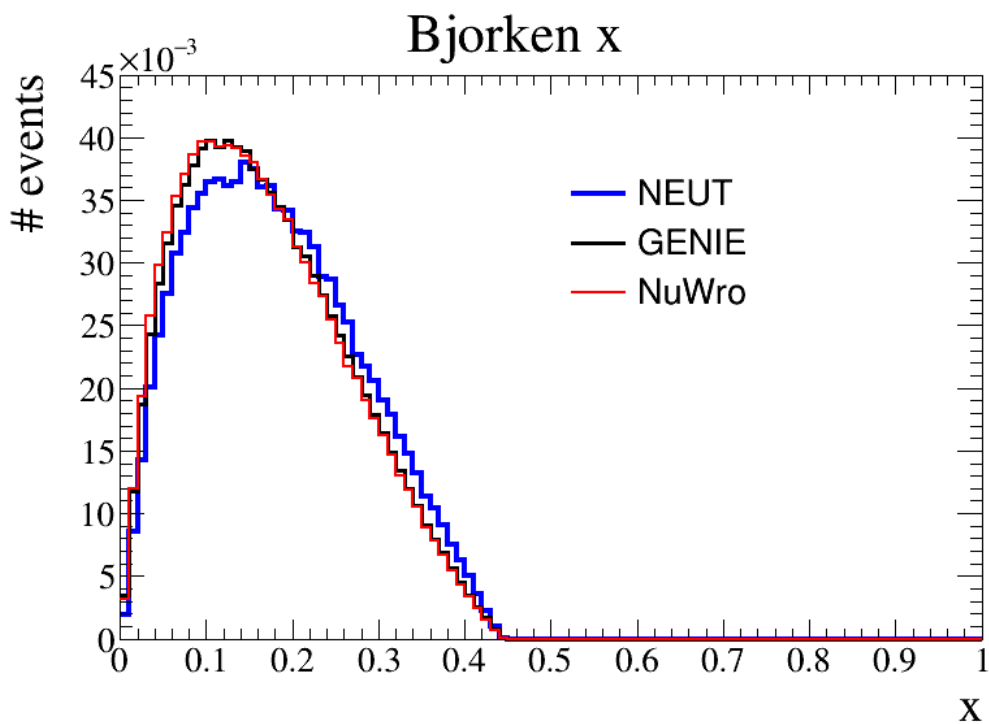
Obtained  $(x,y)$  very similar to default GENIE in this region, although NuWro uses GRV94 and GENIE GRV98

2 GeV  $\nu_\mu$  on free protons,  $1.7 < W < 2$  GeV

# High W models

At high W, all generators use PYTHIA

- NEUT uses PYTHIA 5, GENIE and NuWro PYTHIA6
- In NEUT, event is fully generated by PYTHIA
- GENIE and NuWro generate (x,y), select target quark and use PYTHIA fragmentation routines
- NEUT and GENIE use GRV98, NuWro uses GRV94



8 GeV  $\nu_\mu$  on free protons,  $W > 3$  GeV

Comparing predictions for different targets and fixed energies

- **H<sub>2</sub>O at 4 GeV** (8 bound protons, 8 bound neutrons, 2 free protons)

In backup slides:

- **CH at 2 GeV** (6 bound protons, 6 bound neutrons, 1 free proton)
- **Ar at 2.5 GeV** (18 bound protons, 22 bound neutrons, 0 free protons)
- **Fe at 6 GeV** (26 bound protons, 30 bound neutrons, 0 free protons)

7 different comparisons for each:

- **W** distribution - computed as  $W^2 = (P_\nu + P_{\text{nuc}} - P_\mu)^2$
- **Q<sup>2</sup>** distribution - computed as  $Q^2 = (P_\nu - P_\mu)^2$
- **p<sub>μ</sub>**: lepton momentum
- **cos(θ<sub>μ</sub>)**: lepton angle
- **n<sub>ch</sub>**: charged hadron multiplicities
- **n<sub>π</sub>**: pion (charged + neutral) multiplicities
- **n<sub>π0</sub>**: neutral pion multiplicities

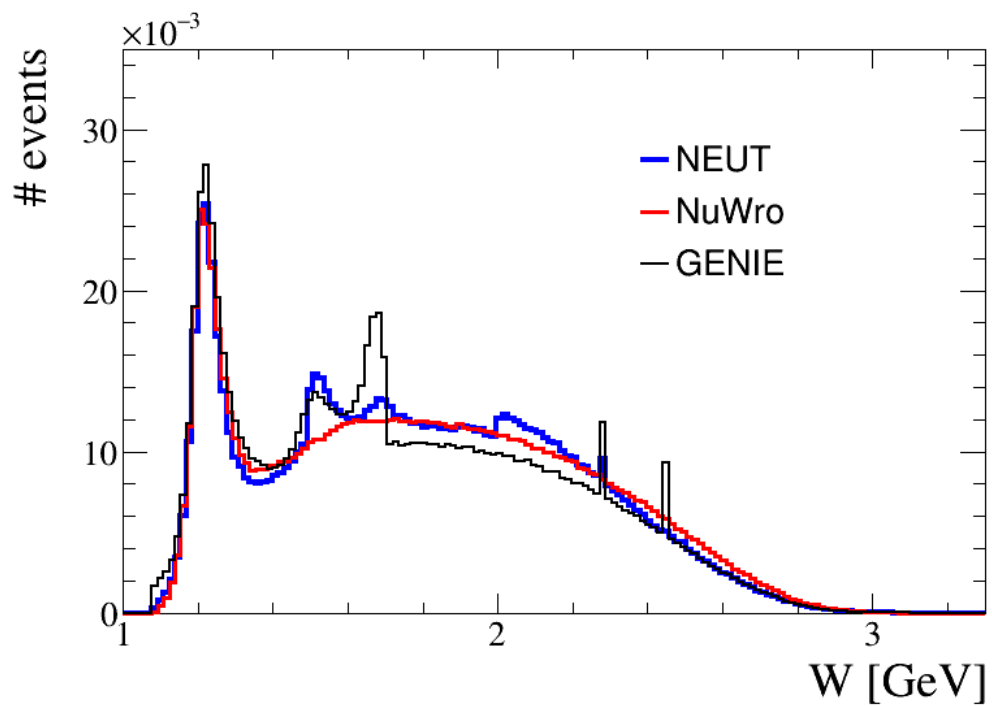
- **CC DIS+Res only**
- **W > 1.7 GeV cut**
- **Normalized by area**



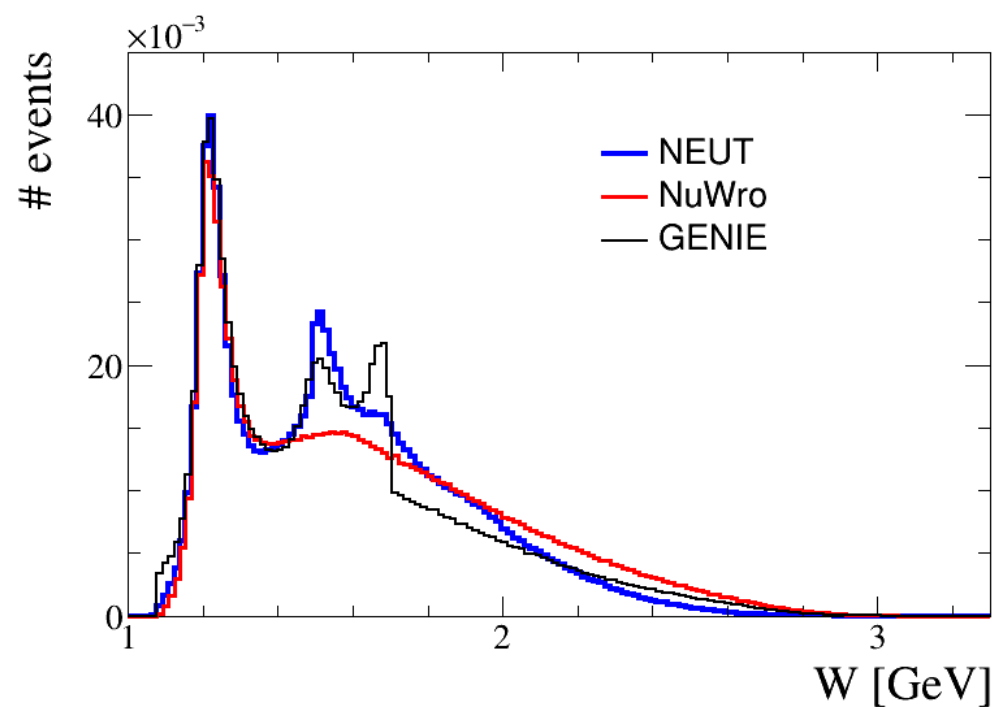
# W distributions

$H_2O$ ,  $E_\nu=4.0$  GeV

## Neutrino

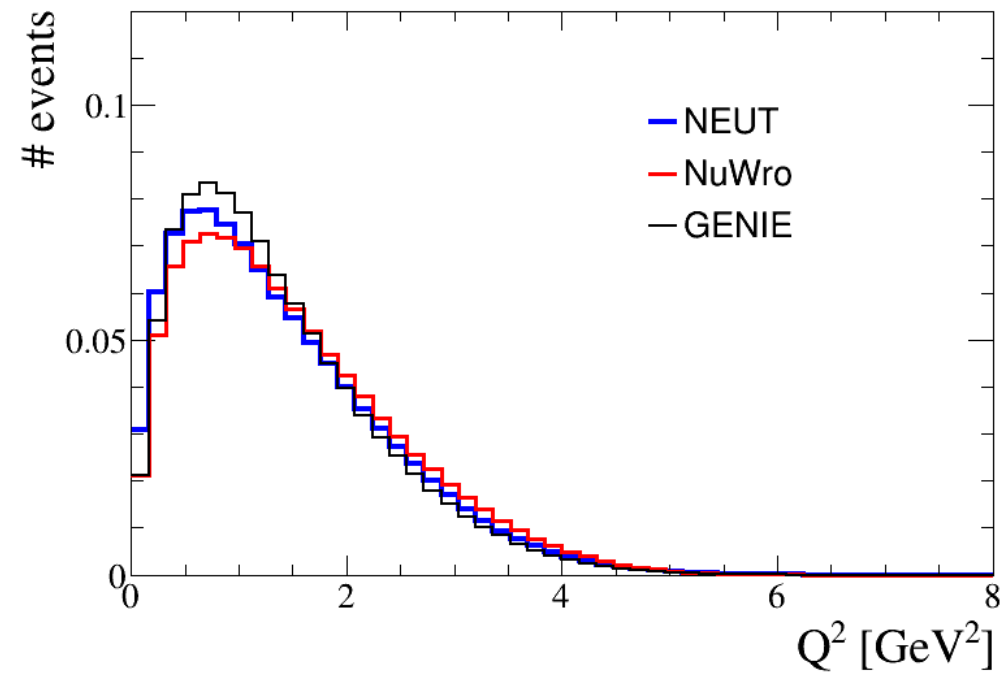


## Anti-neutrino

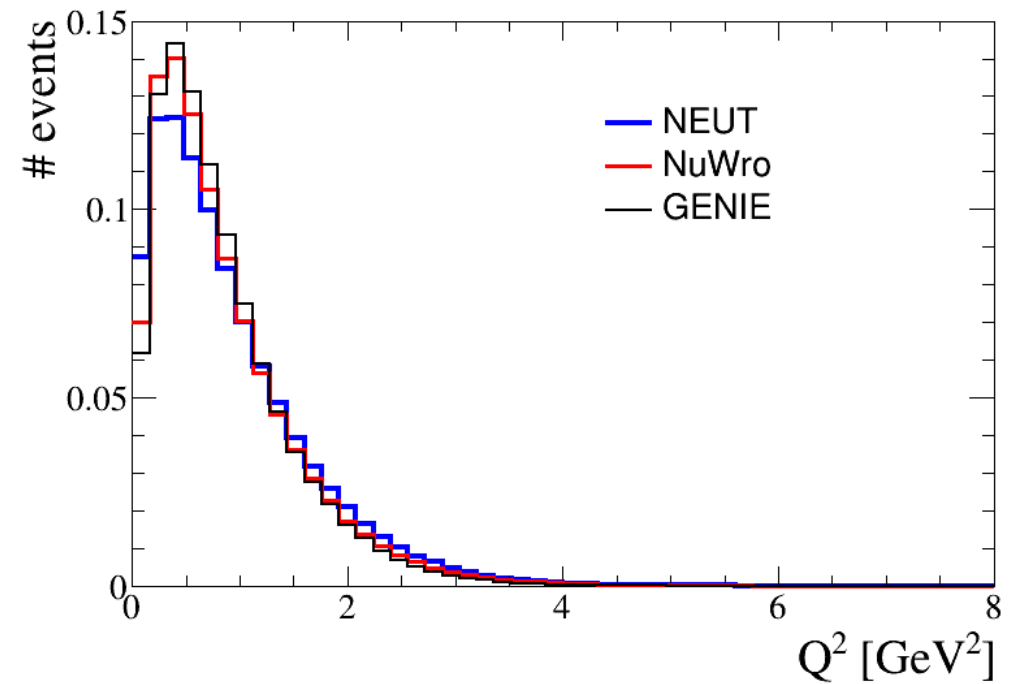


# $Q^2$ distributions $H_2O$ , $E_\nu=4.0$ GeV

## Neutrino



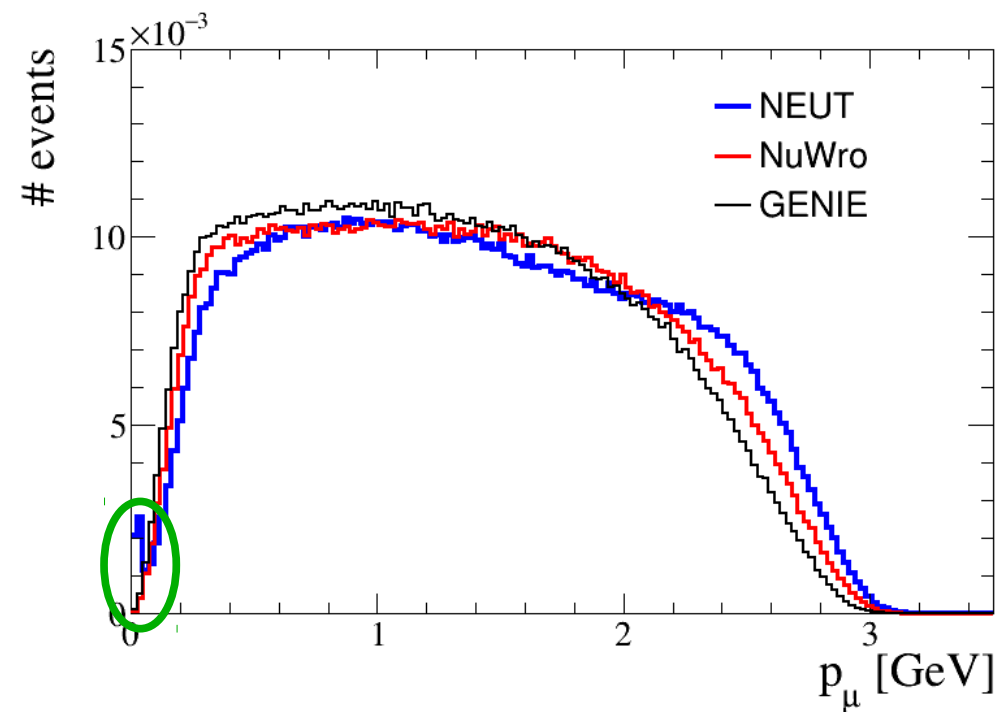
## Anti-neutrino



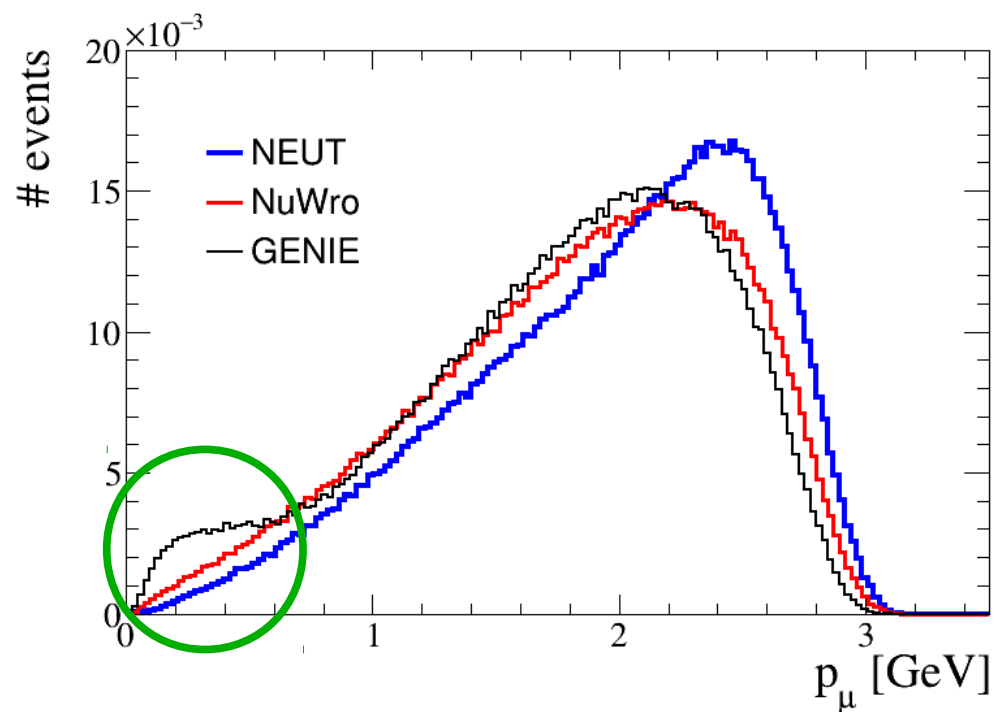
# Lepton momentum

$\text{H}_2\text{O}$ ,  $E_\nu = 4.0 \text{ GeV}$

## Neutrino



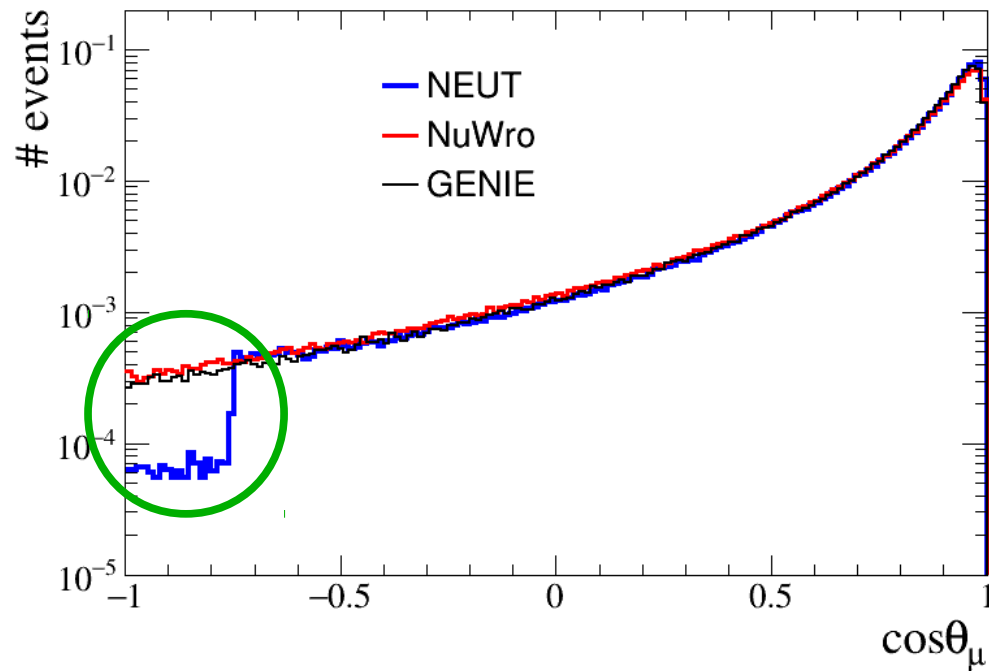
## Anti-neutrino



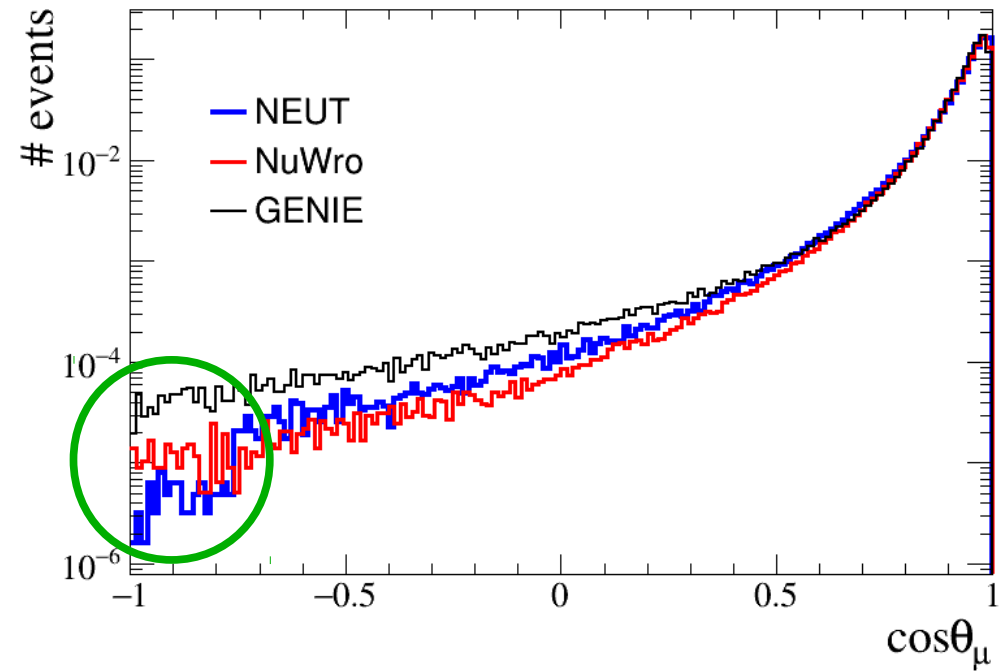
# Lepton angle

$H_2O$ ,  $E_\nu=4.0$  GeV

## Neutrino



## Anti-neutrino

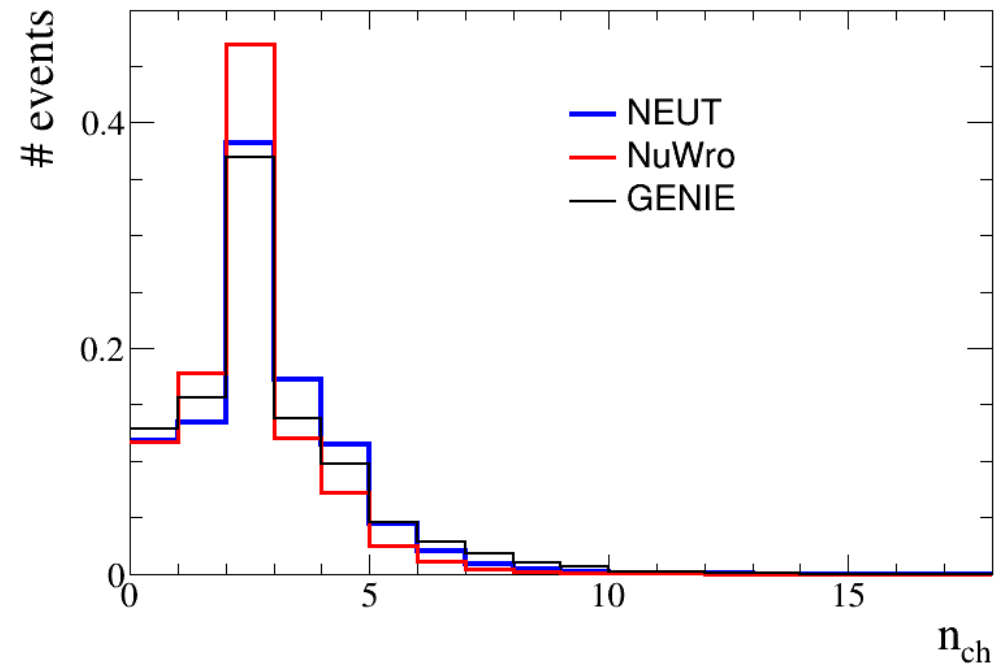
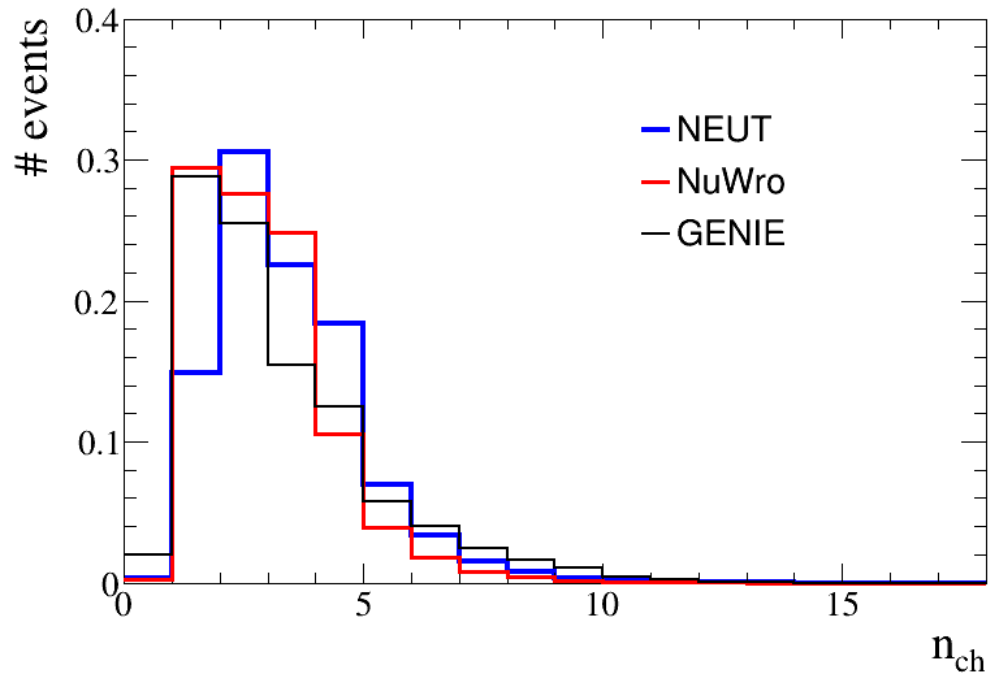


# Charged hadron multiplicities

$\text{H}_2\text{O}$ ,  $E_\nu = 4.0 \text{ GeV}$

## Neutrino

## Anti-neutrino

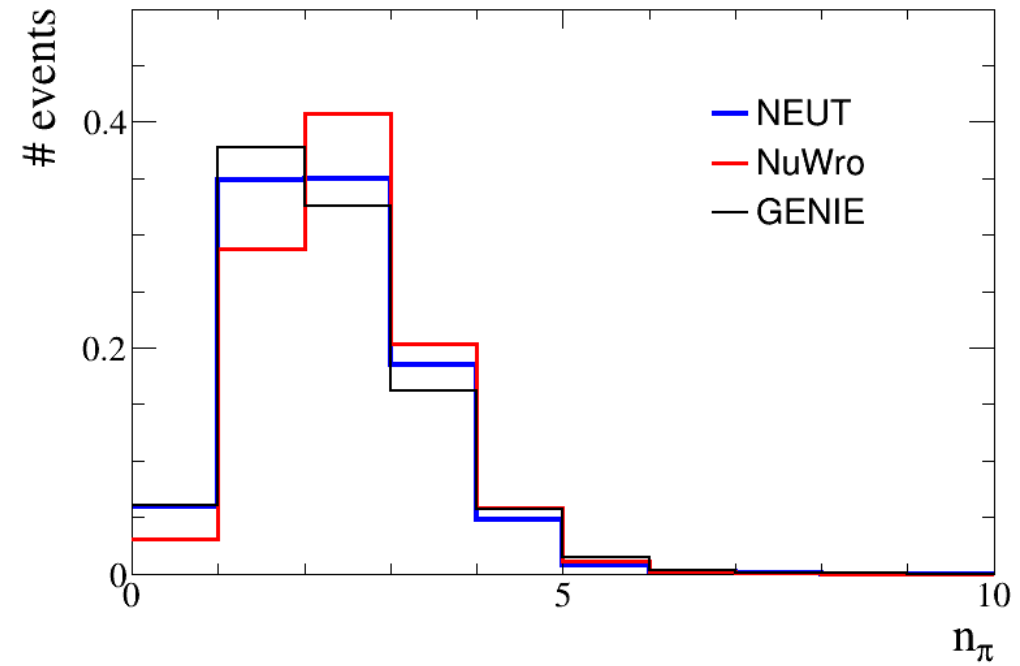
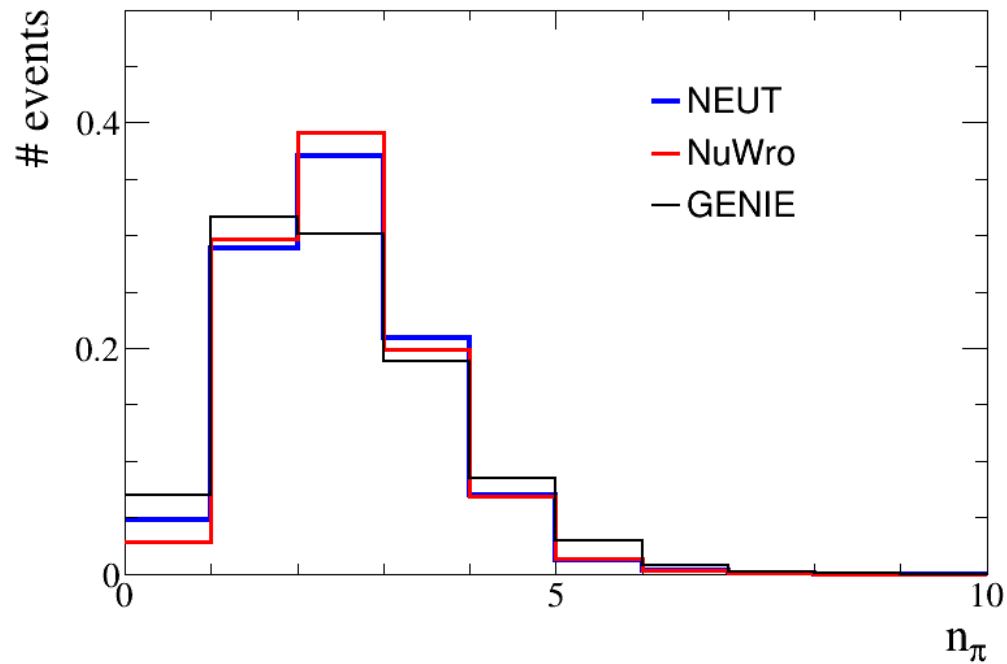


# Pion multiplicities

$\text{H}_2\text{O}$ ,  $E_\nu=4.0$  GeV

## Neutrino

## Anti-neutrino

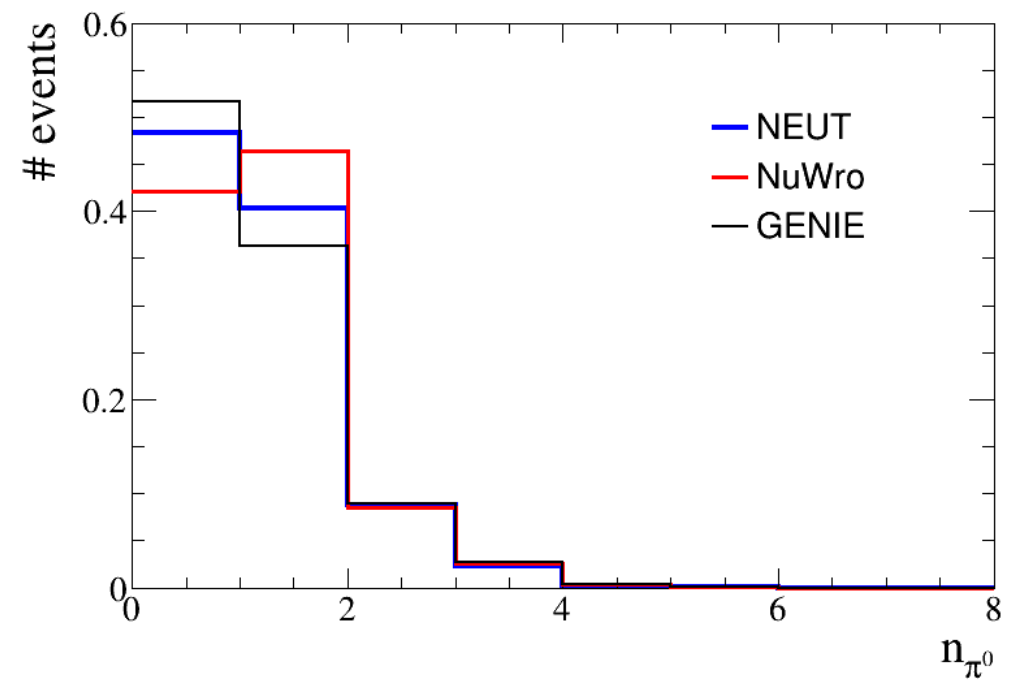
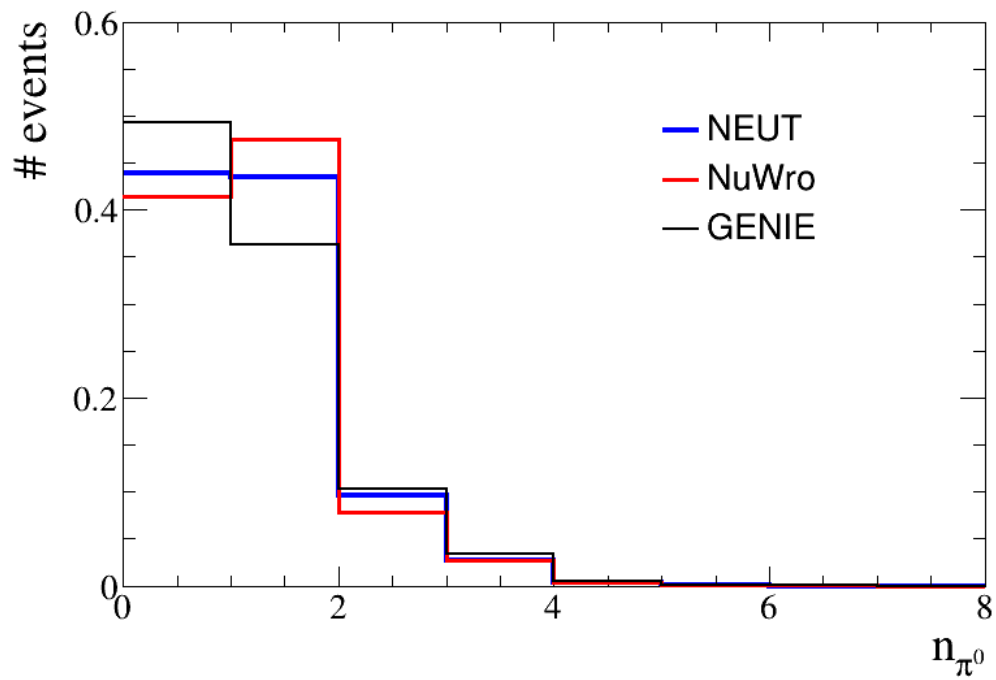


# Neutral pion multiplicities

$\text{H}_2\text{O}$ ,  $E_\nu = 4.0 \text{ GeV}$

## Neutrino

## Anti-neutrino



# BACKUP



# Bodek-Yang corrections

## Relations between structure functions

The problem is, which scaling variable ( $x$  or  $\xi$ ) to use in those relations?

NEUT does:

$$F_1(x, Q^2) = \frac{1}{2x} F_2(x, Q^2) \times \left( \frac{1 + 4M^2 x^2 / Q^2}{1 + R(x, Q^2)} \right)$$

GENIE does:

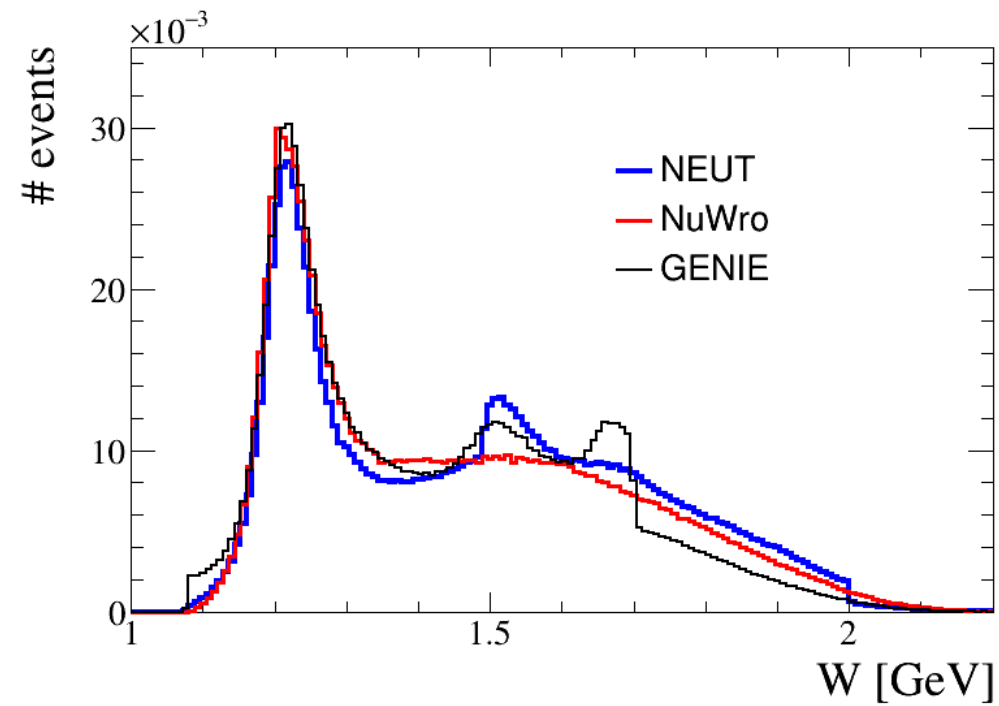
$$\left\{ \begin{array}{l} F_1(x, Q^2) = \frac{1}{2\xi} F_2(x, Q^2) \times \left( \frac{1 + 4M^2 \xi^2 / Q^2}{1 + R(x, Q^2)} \right) \\ F_3(x, Q^2) = \frac{x F_3(x, Q^2)}{\xi} \\ F_5(x, Q^2) = \frac{F_5(x, Q^2)}{\xi} \end{array} \right.$$

NuWro does:  
(GRV 94)

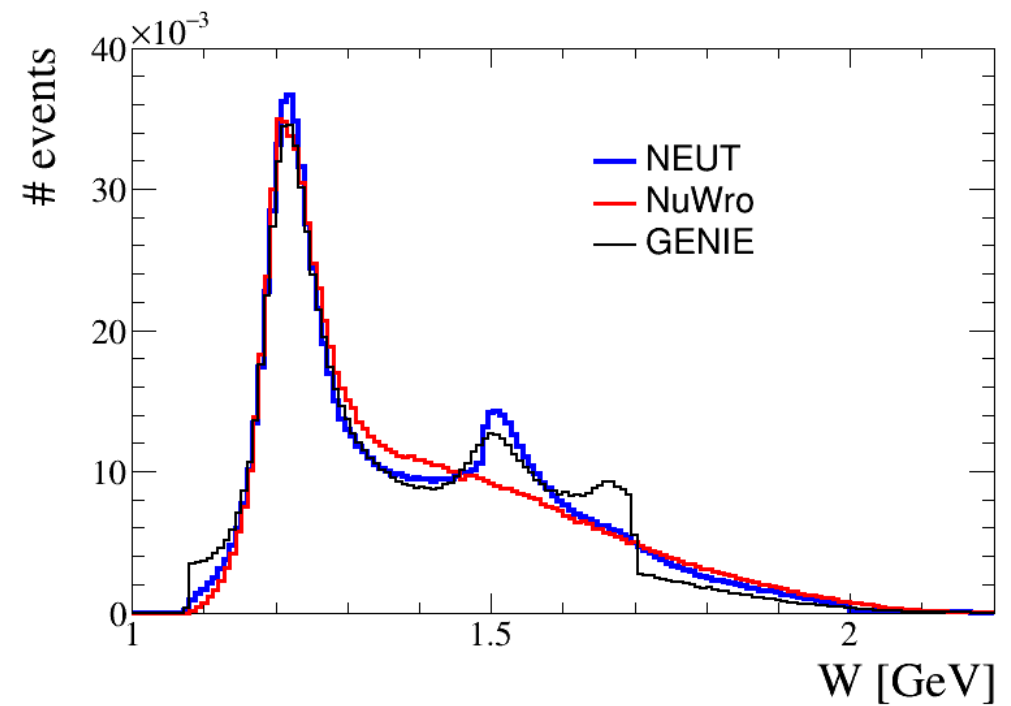
$$F_1(x, Q^2) = \frac{1}{2\xi} F_2(x, Q^2) \times \left( \frac{1 + 4M^2 x^2 / Q^2}{1 + R(x, Q^2)} \right)$$

# W distributions CH, $E_\nu=2.0$ GeV

## Neutrino



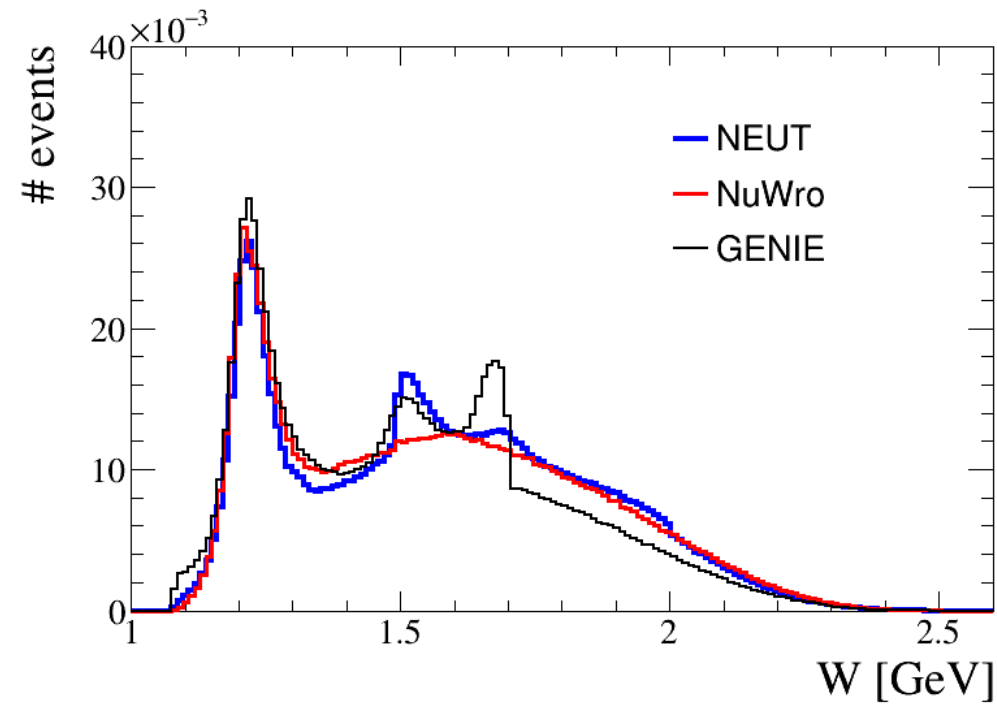
## Anti-neutrino



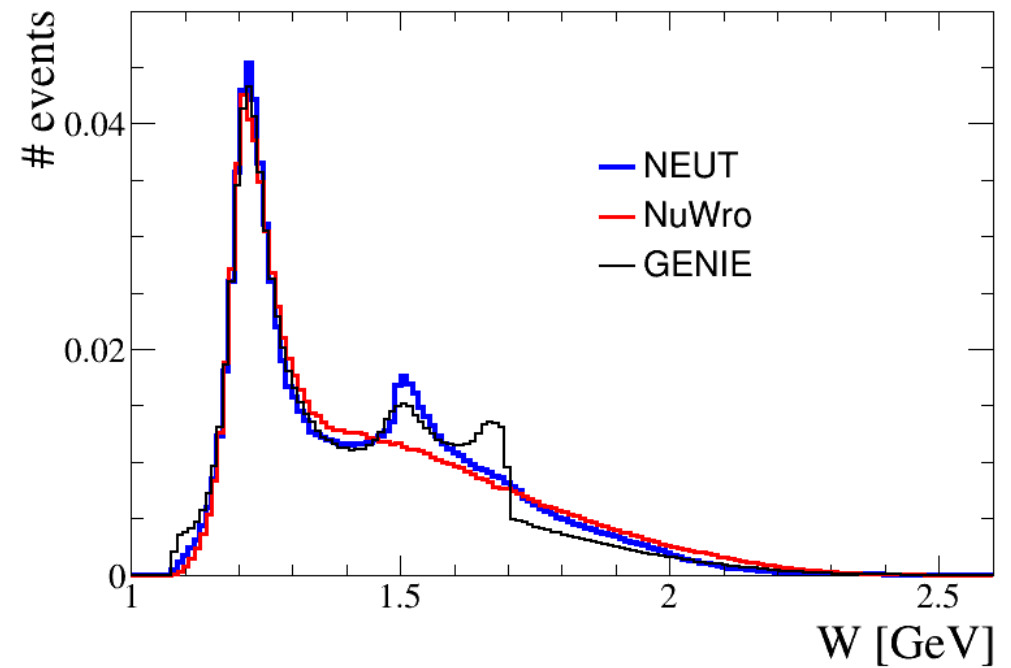
# W distributions

Ar,  $E_\nu = 2.5$  GeV

## Neutrino



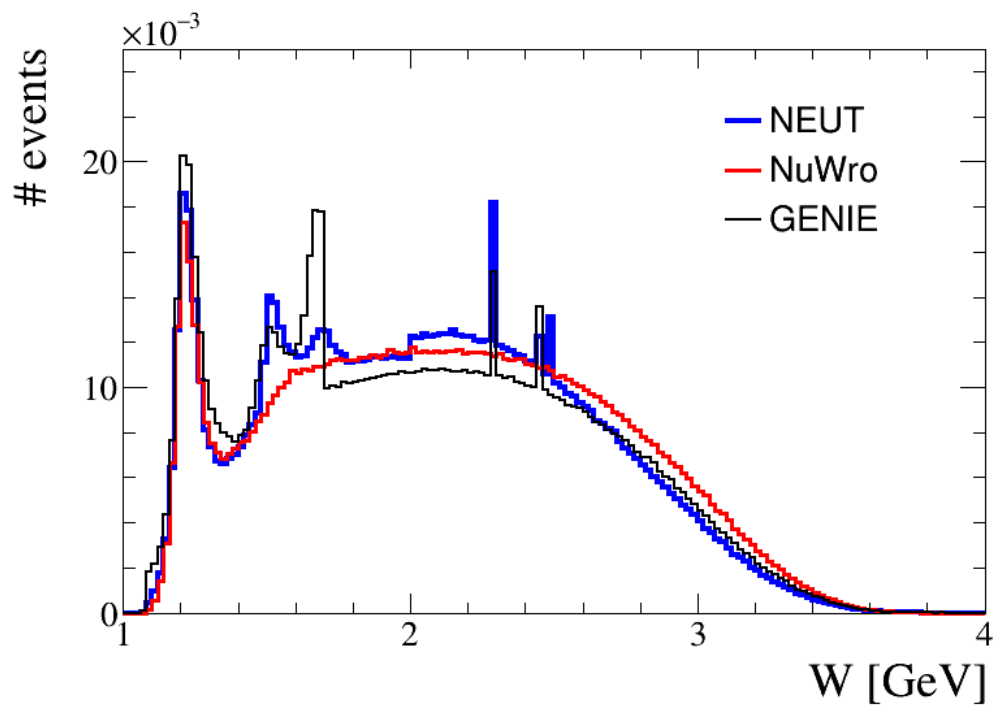
## Anti-neutrino



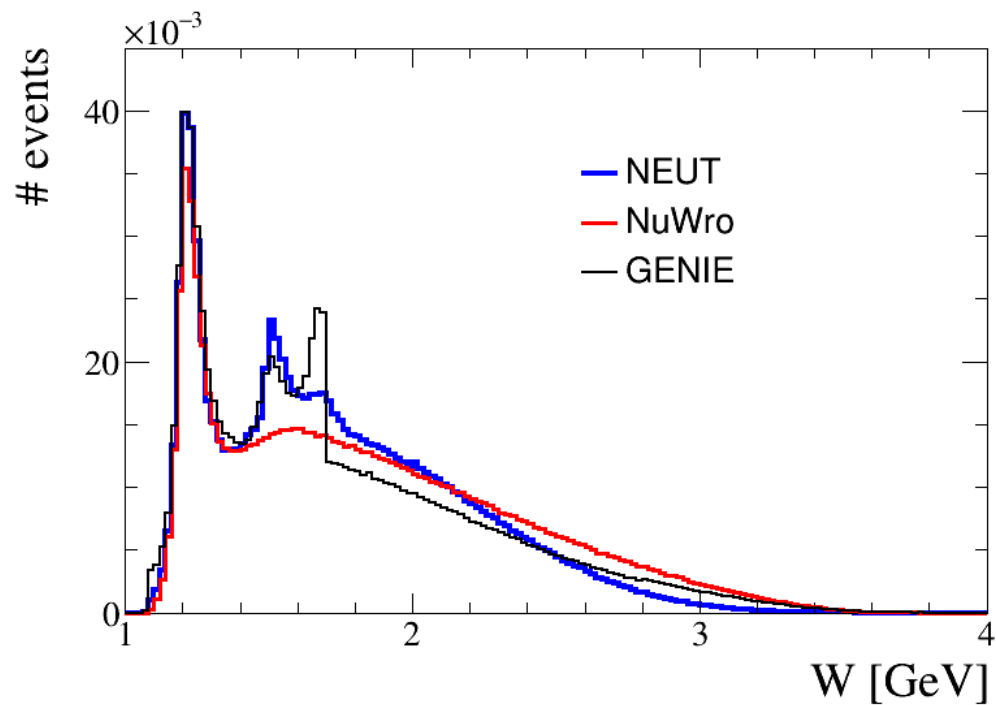
# W distributions

Fe,  $E_\nu=6.0$  GeV

## Neutrino

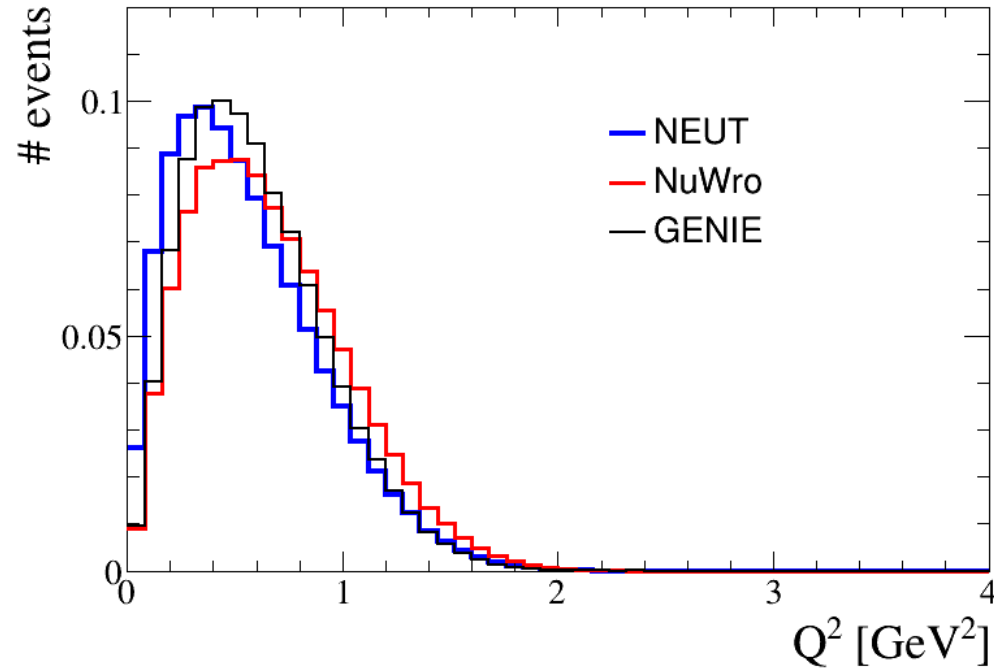


## Anti-neutrino

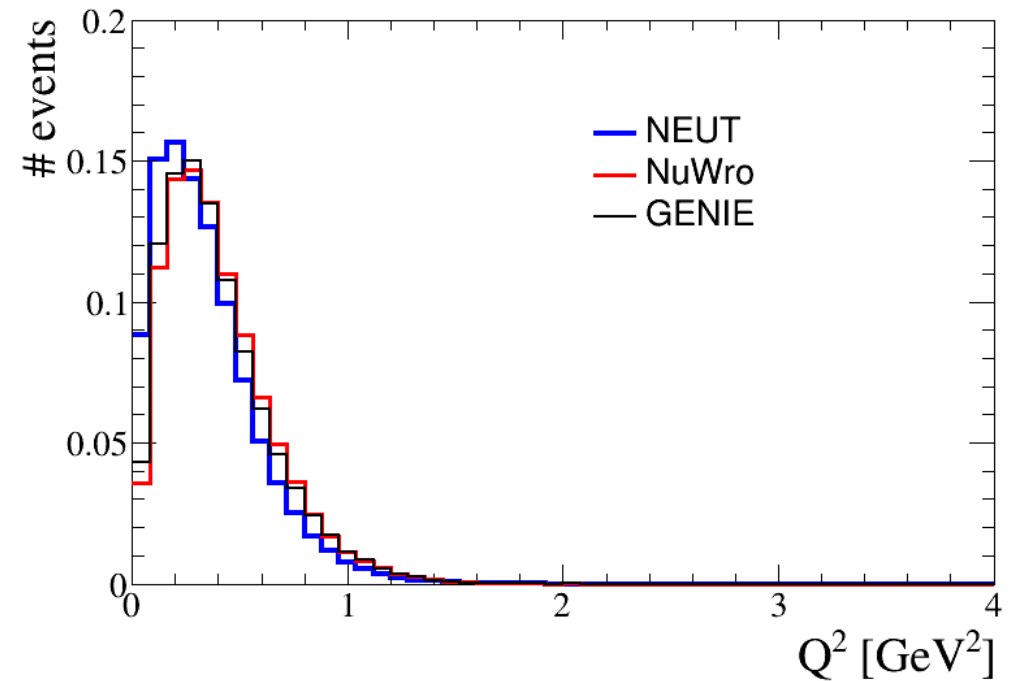


# $Q^2$ distributions CH, $E_\nu=2.0$ GeV

## Neutrino



## Anti-neutrino

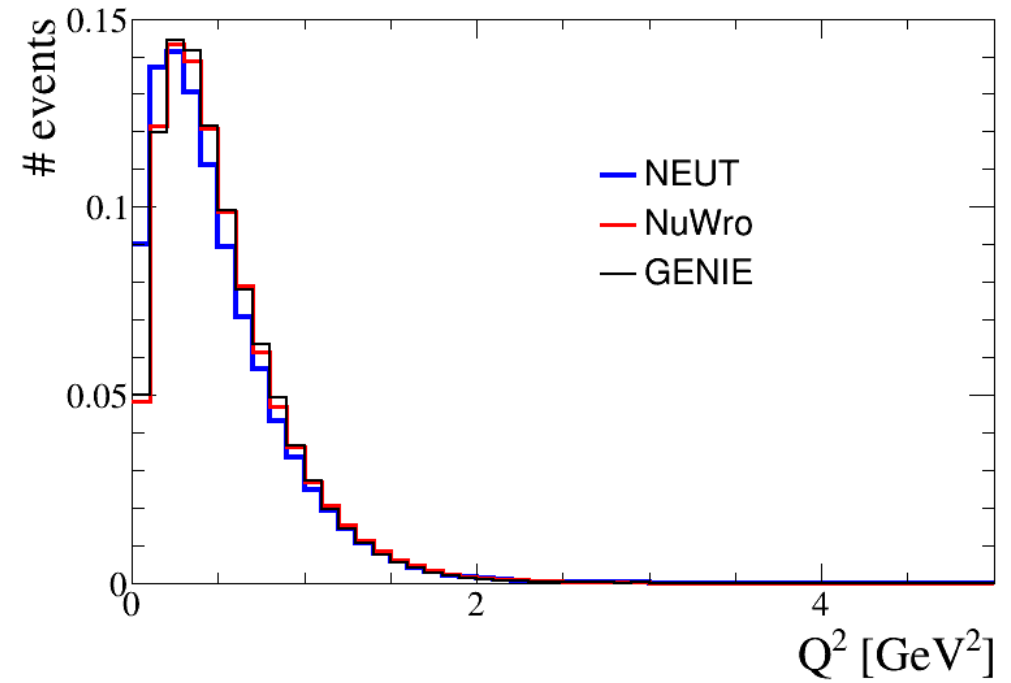
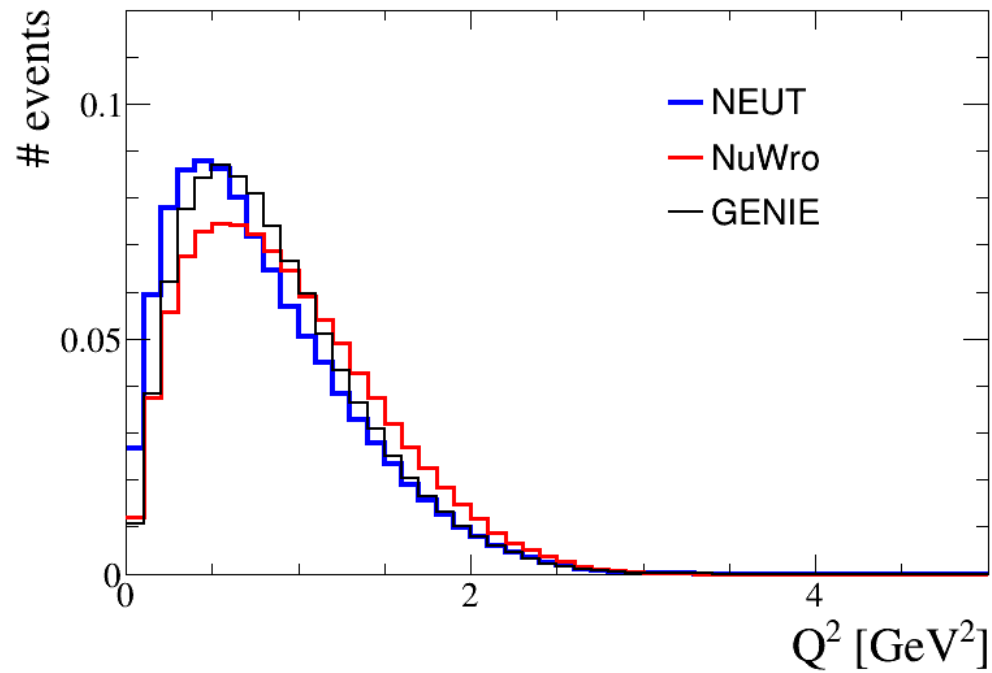


# $Q^2$ distributions

Ar,  $E_\nu=2.5$  GeV

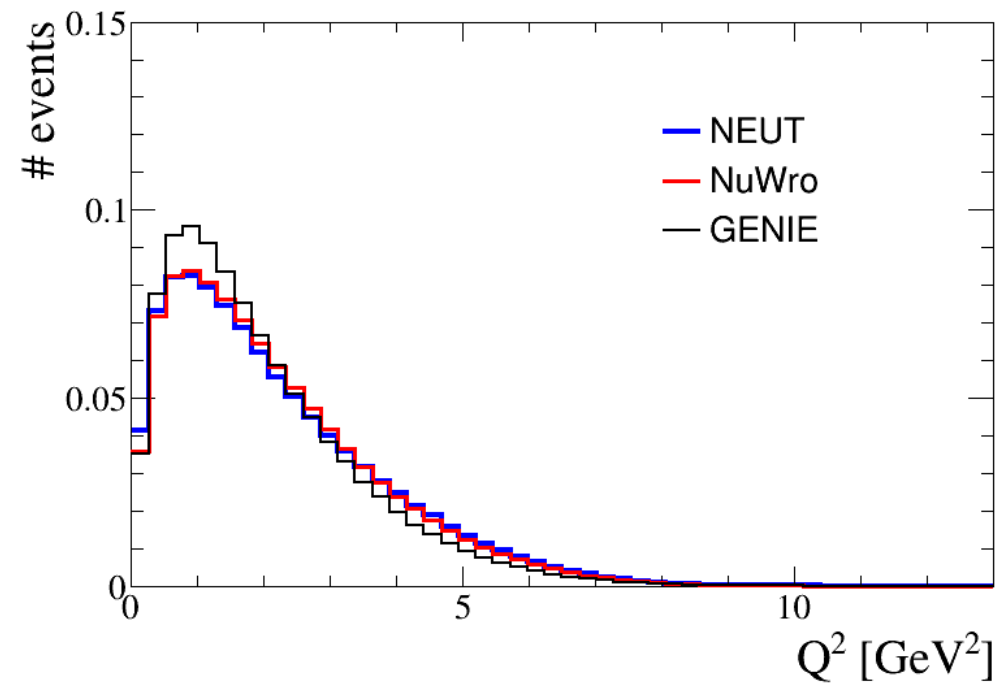
## Neutrino

## Anti-neutrino

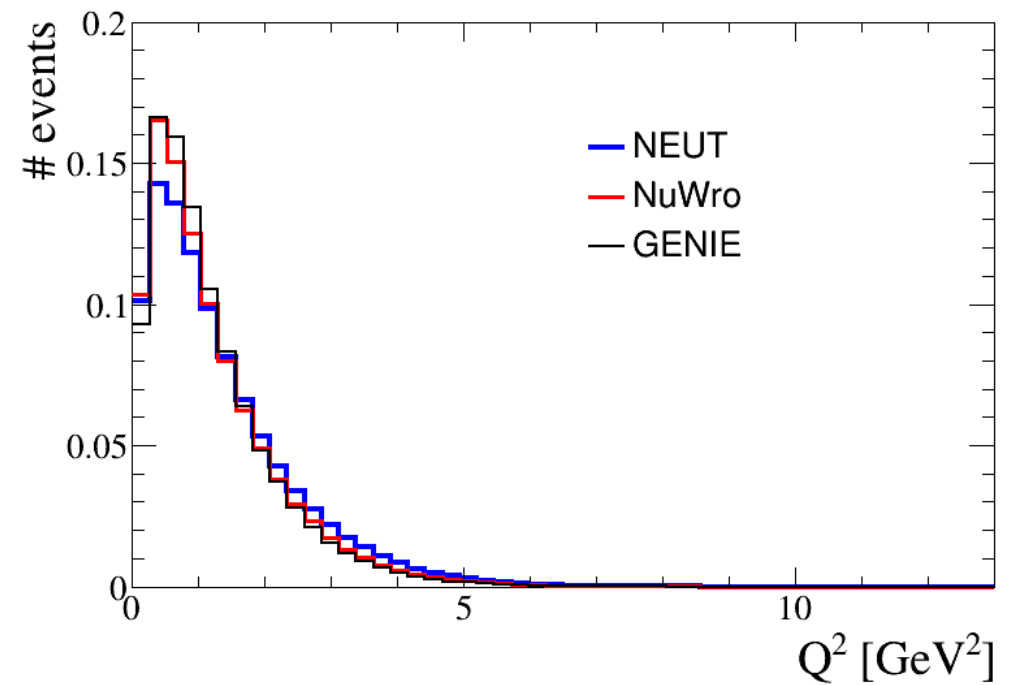


# $Q^2$ distributions Fe, $E_\nu=6.0$ GeV

## Neutrino



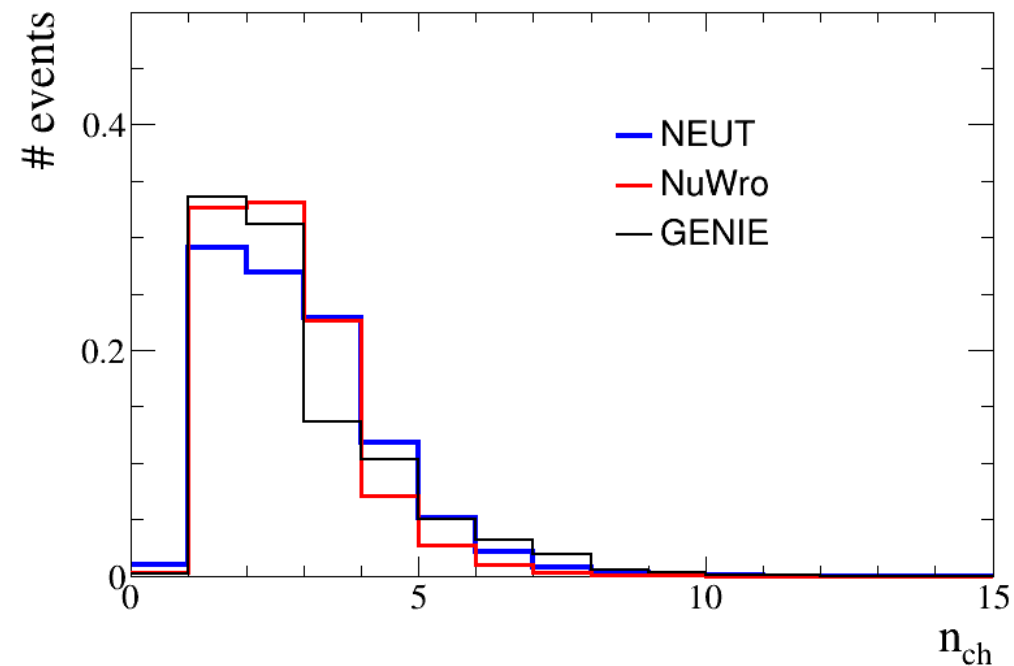
## Anti-neutrino



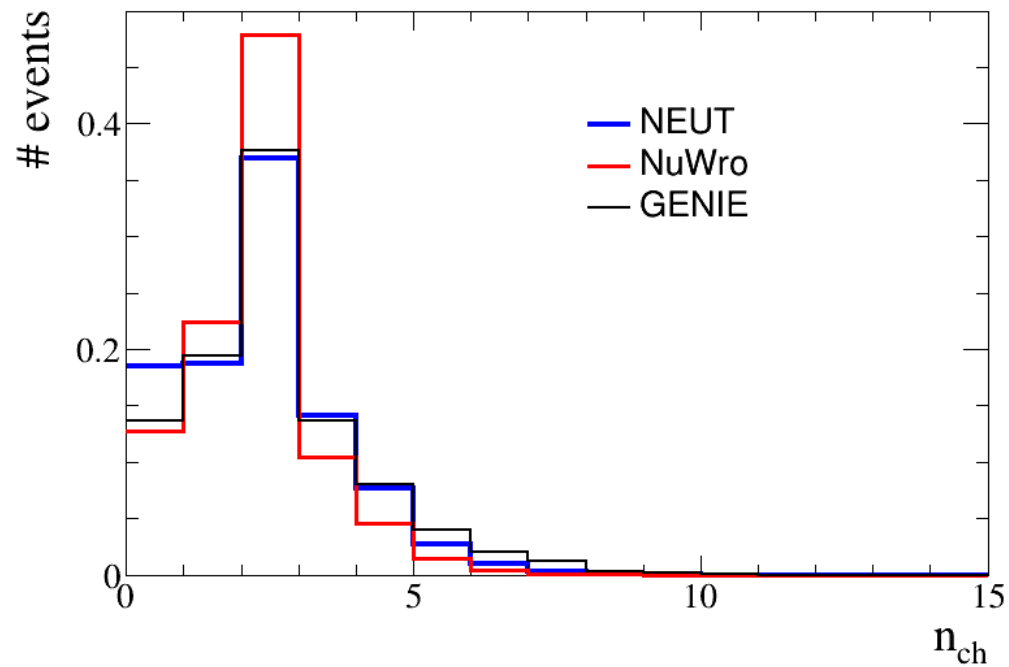
# Charged hadron multiplicities

CH,  $E_\nu=2.0$  GeV

## Neutrino



## Anti-neutrino

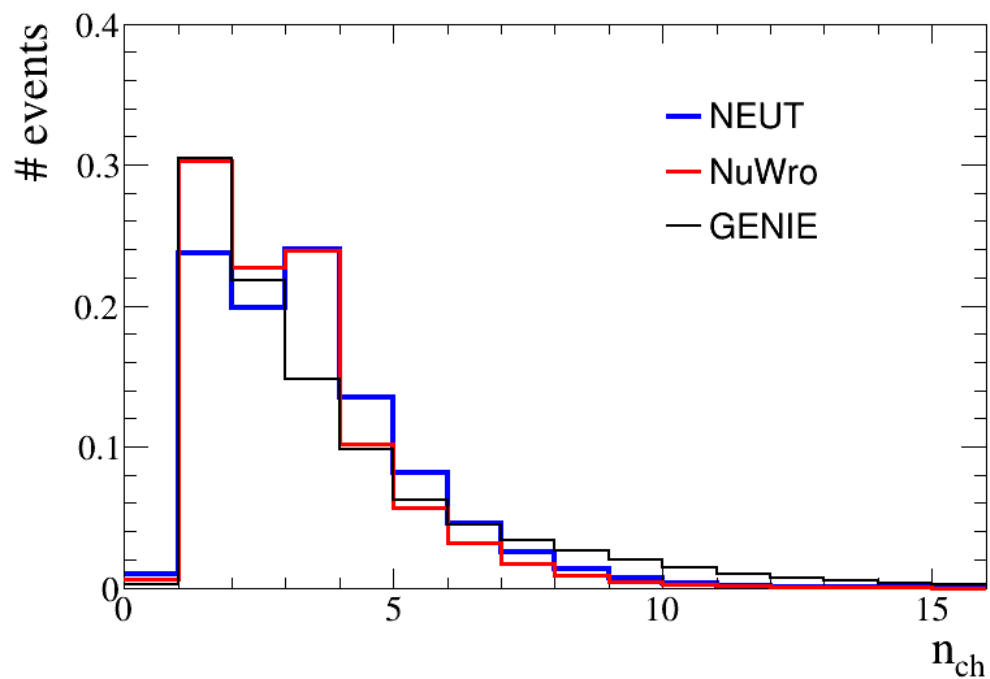




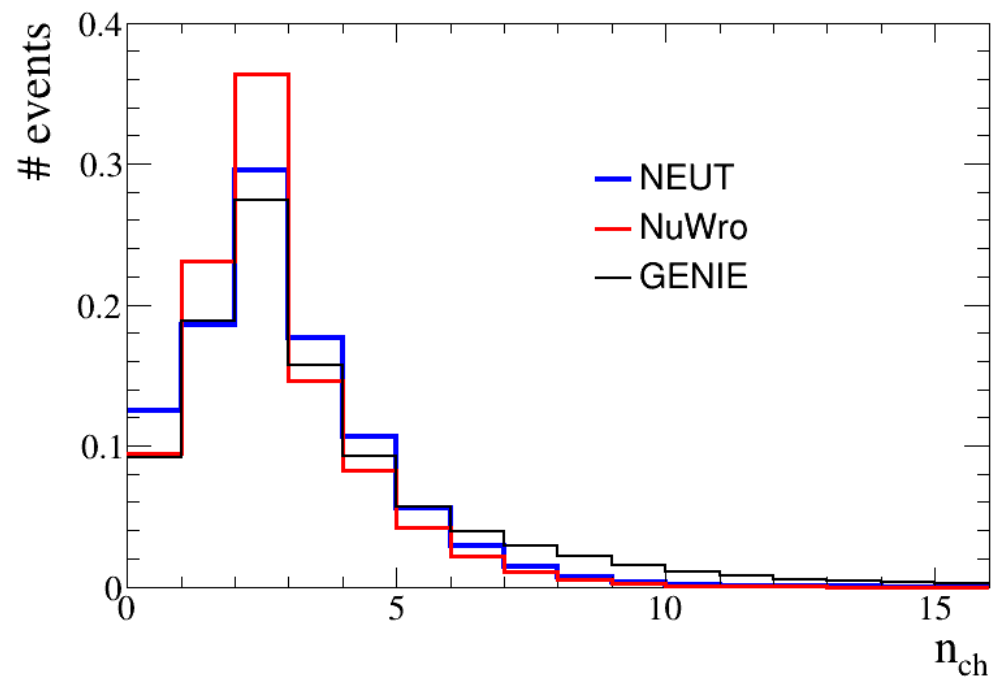
# Charged hadron multiplicities

Ar,  $E_\nu = 2.5$  GeV

## Neutrino



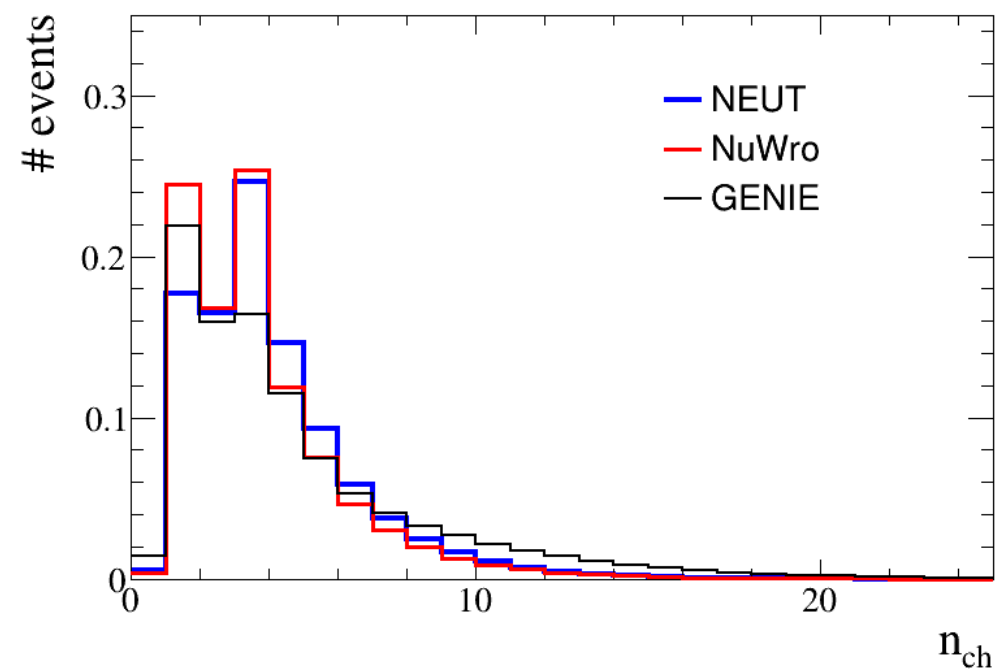
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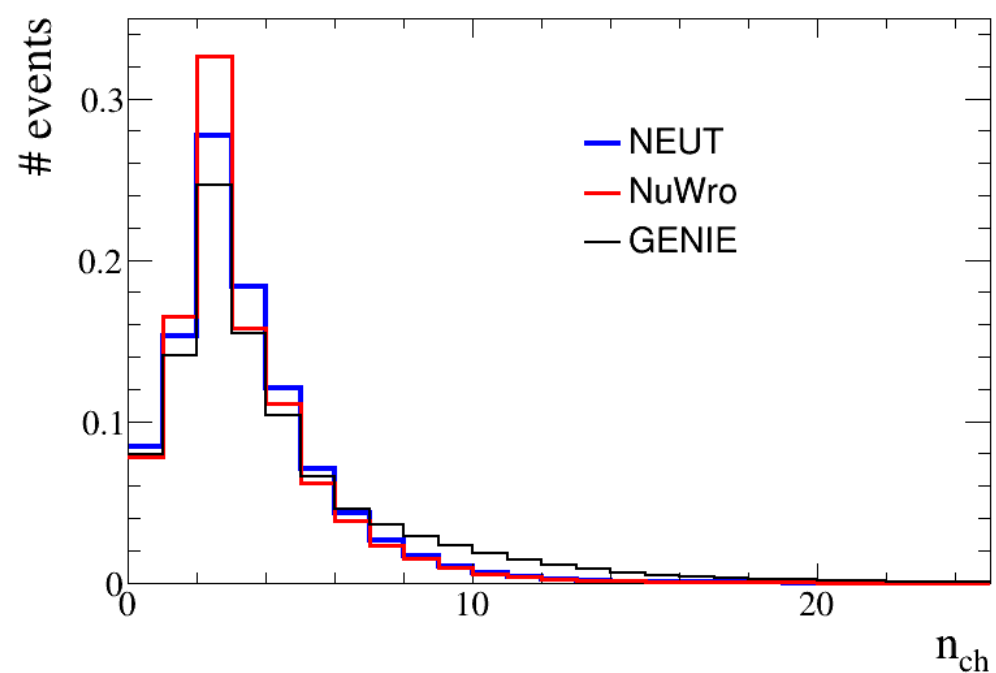
# Charged hadron multiplicities

Fe,  $E_\nu=6.0$  GeV

## Neutrino



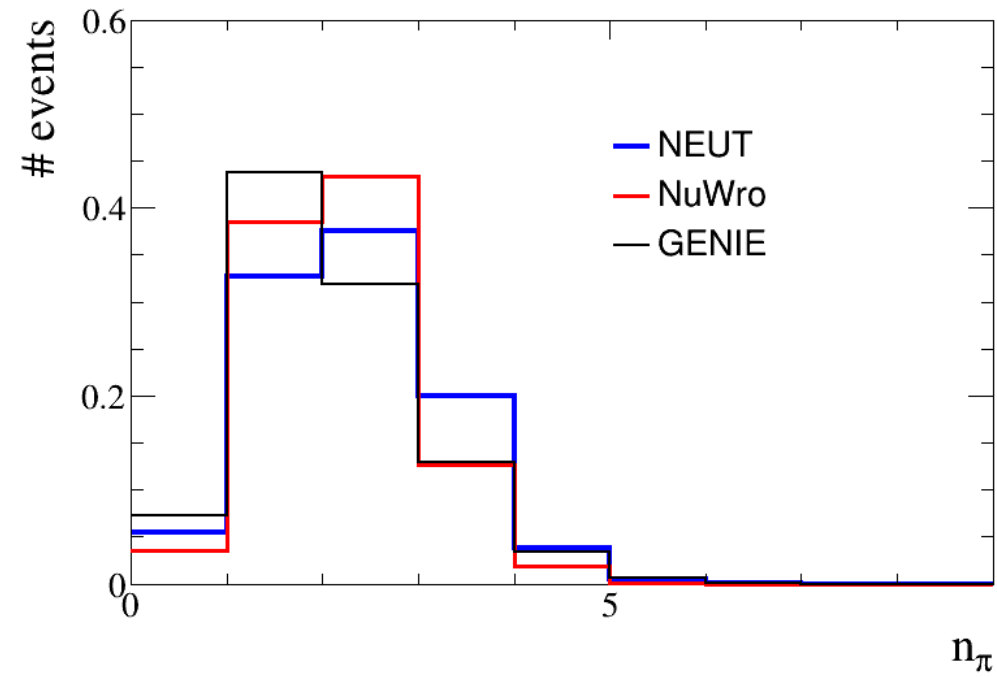
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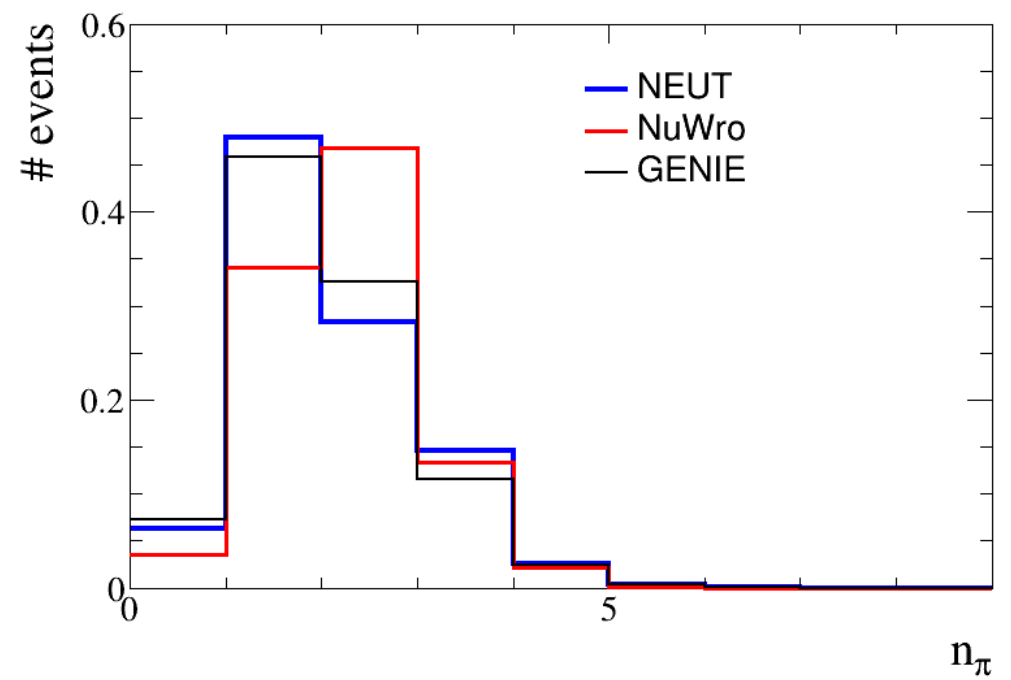
# Pion multiplicities

CH,  $E_\nu=2.0$  GeV

## Neutrino



## Anti-neutrino

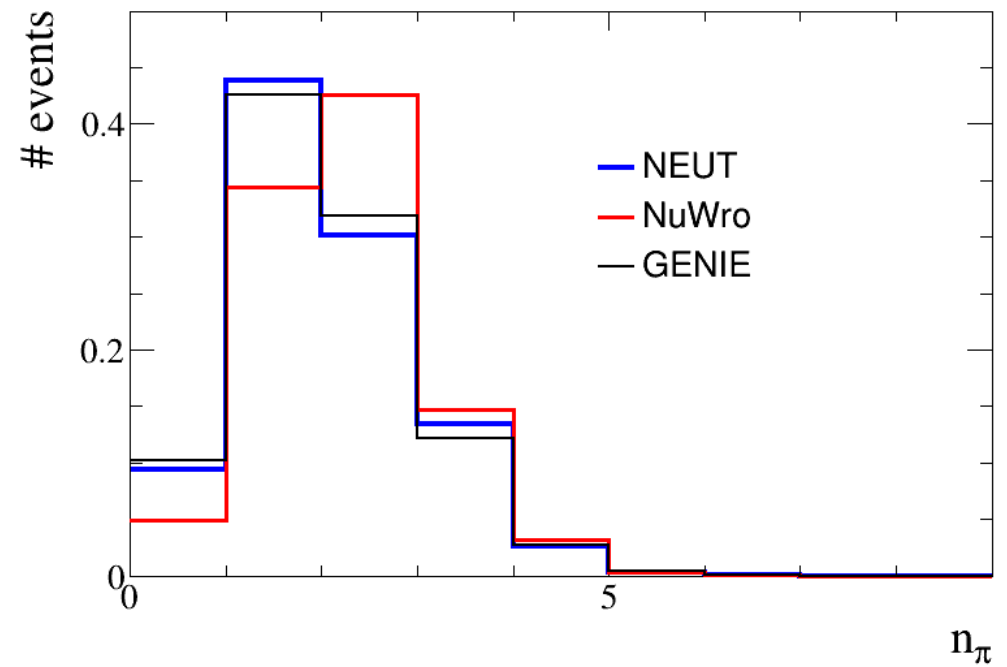
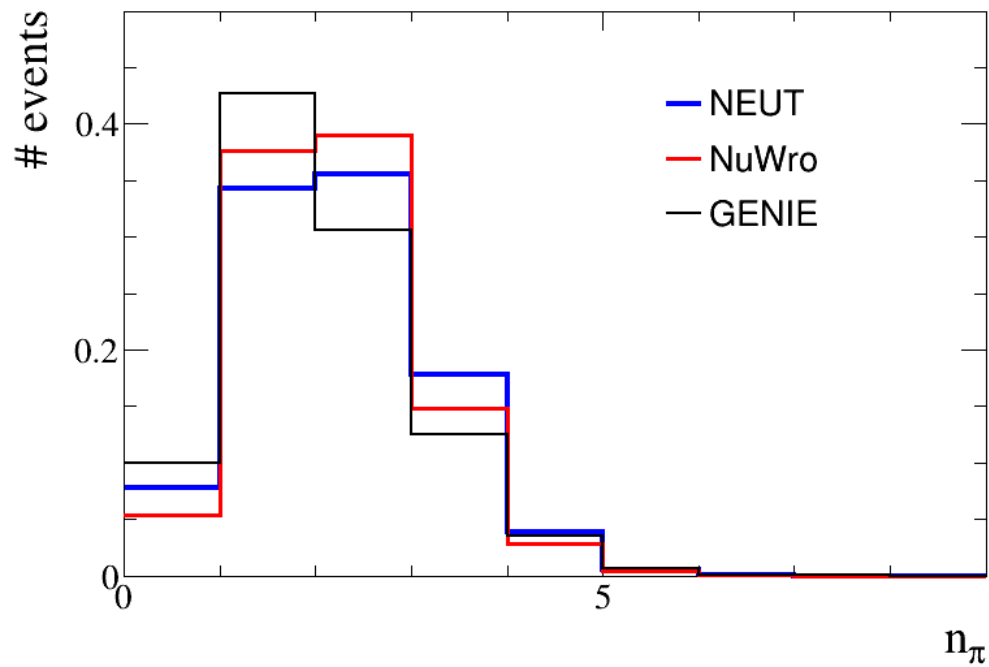


# Pion multiplicities

Ar,  $E_\nu=2.5$  GeV

## Neutrino

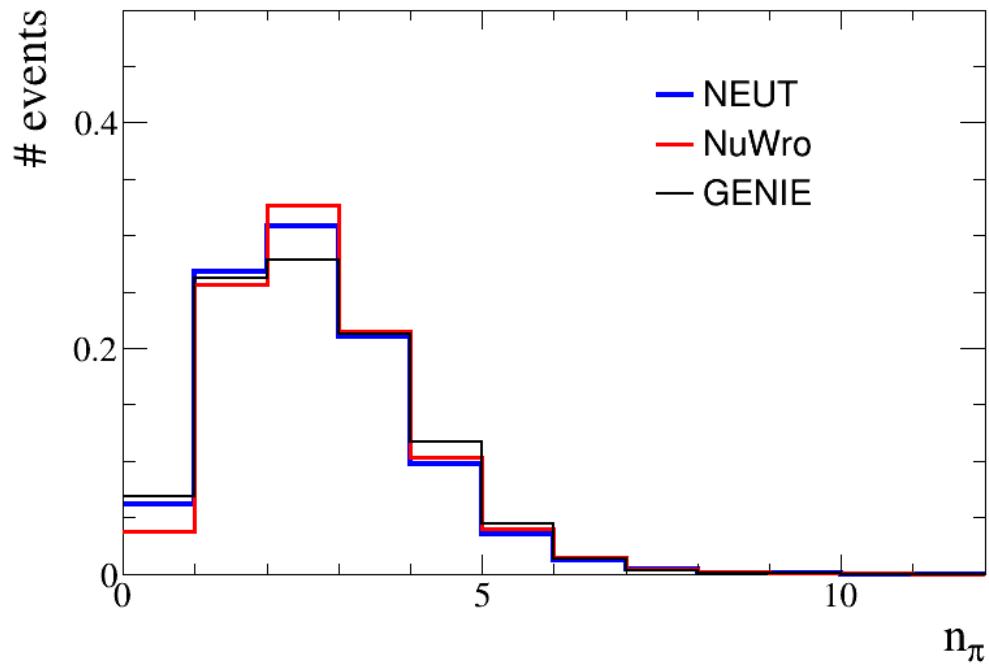
## Anti-neutrino



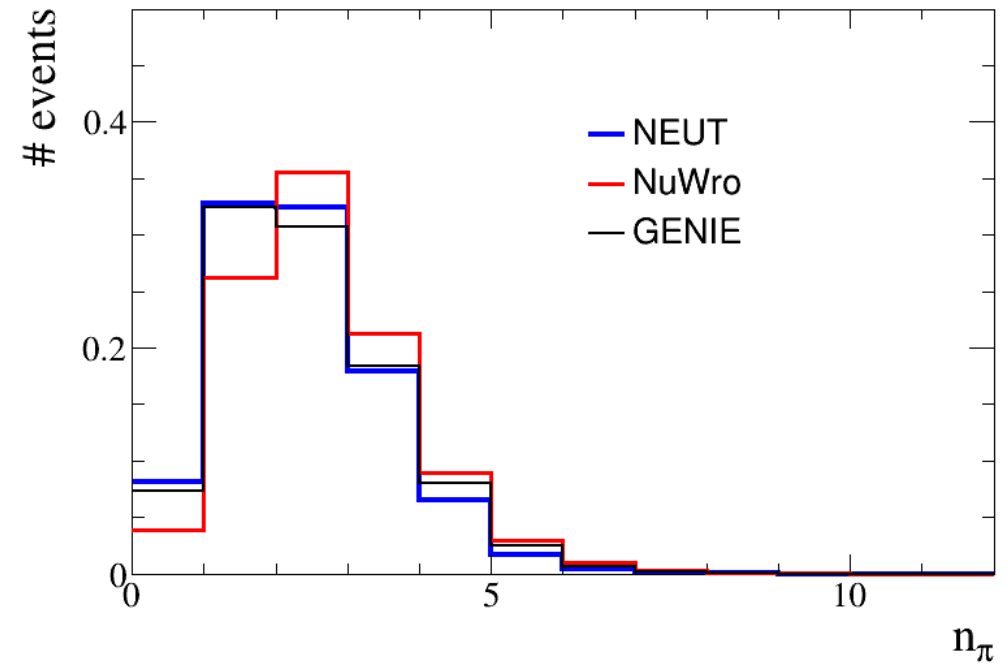
# Pion multiplicities

Fe,  $E_\nu=6.0$  GeV

## Neutrino



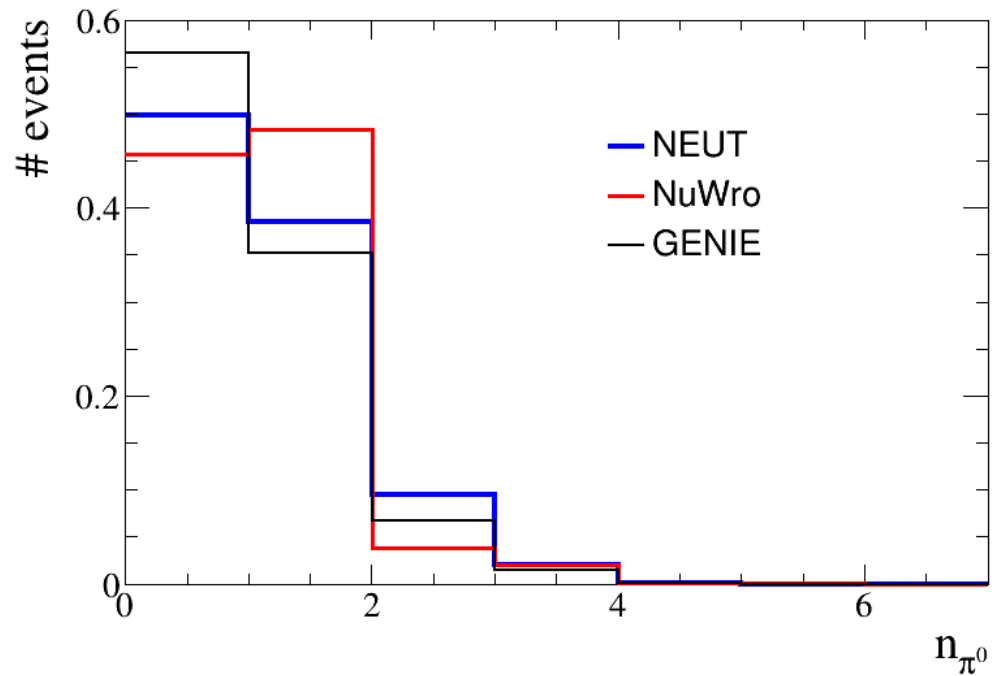
## Anti-neutrino



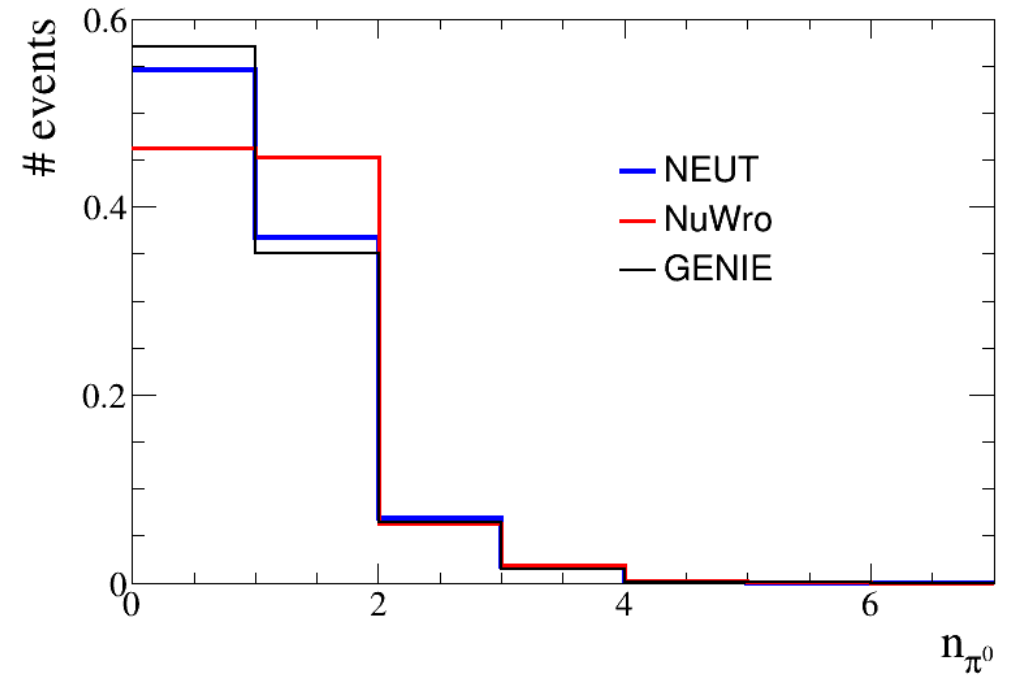
# Neutral pion multiplicities

CH,  $E_\nu=2.0$  GeV

## Neutrino



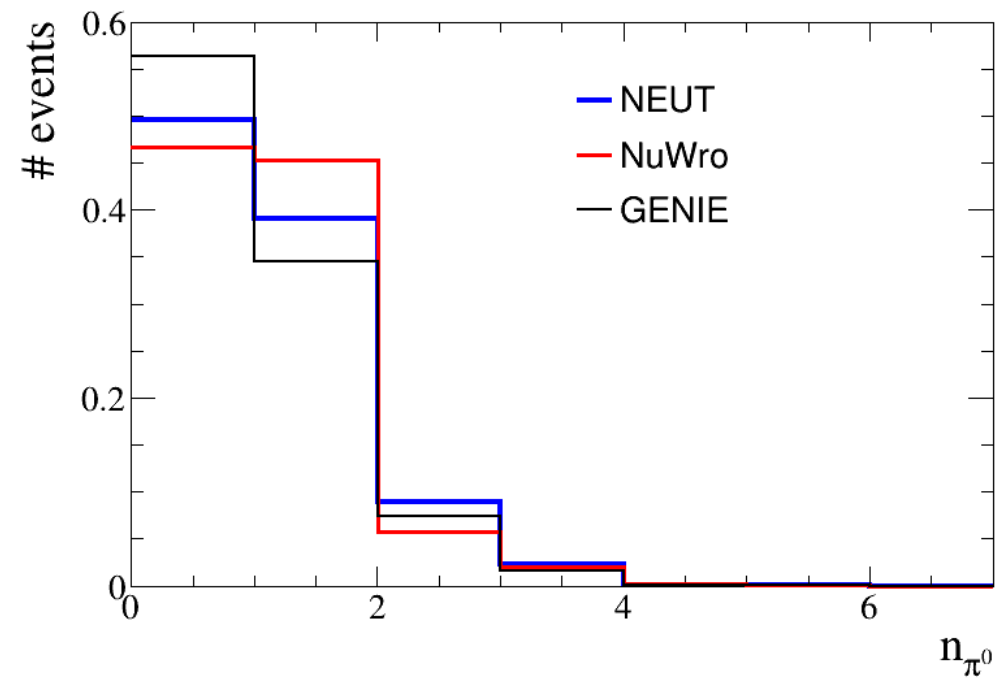
## Anti-neutrino



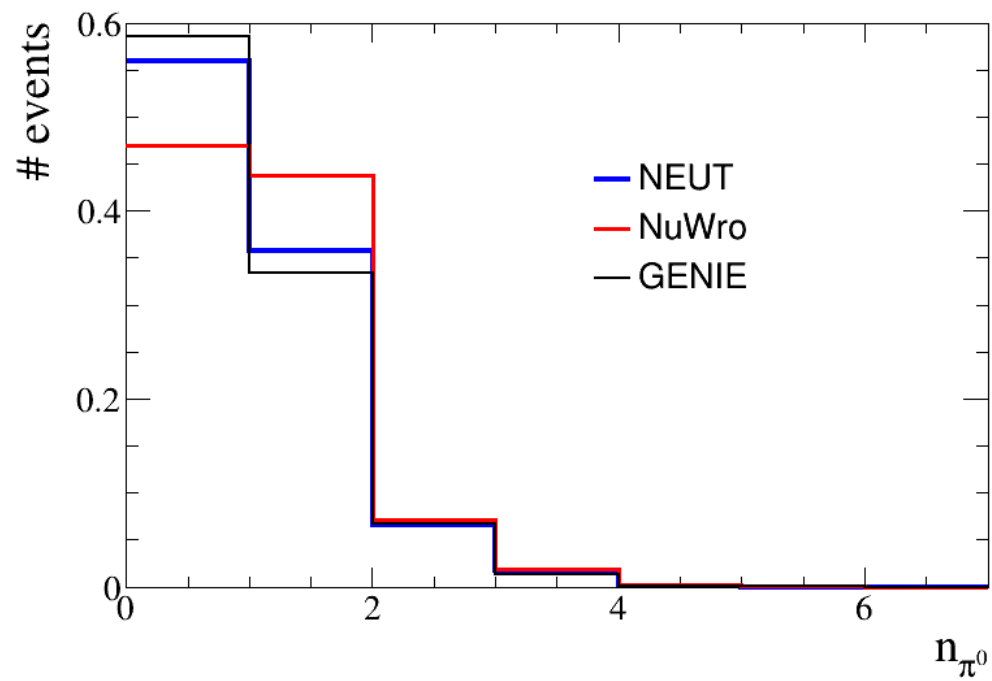
# Neutral pion multiplicities

Ar,  $E_\nu=2.5$  GeV

## Neutrino



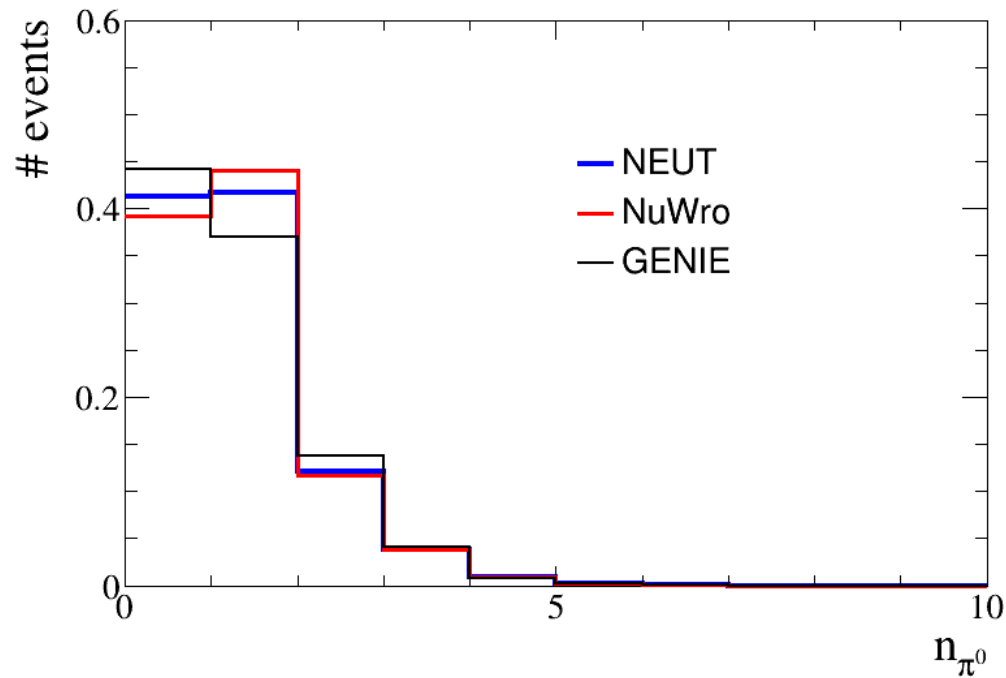
## Anti-neutrino



# Neutral pion multiplicities

Fe,  $E_\nu=6.0$  GeV

## Neutrino



## Anti-neutrino

