







# Beam-beam effects

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#### FCC-hh beam-beam effects:

- Nominal crossing scheme
- Dynamic aperture studies (Round Optics)
- Low Luminosity experiments
- Beam-beam Long range global compensation and phase advance optimization
- Head-on limit studies
- Alternative solutions (flat optics)

FCC-hh two beam stability:

- Stability at the end of the betatron squeeze
- "Collide & squeeze"
- Stability during the collapse of the separation bumps
- Alternative solutions for Landau damping and compensation

# **Collider Parameters**

#### FCC CDR

Parameter	FCC-hh Baseline	FCC-hh Ultimate
Peak Luminosity [10 <sup>34</sup> cm <sup>-2</sup> s <sup>-1</sup> ]	5.0	< 30
Bunch distance [ns]	25	
Number of bunches	10400	
Bunch population [10 <sup>11</sup> p/bunch]	1.0	
Transverse Norm. Emittance [µm]	2.2	
RMS bunch length [cm]	8	
RMS IP beam size [µm]	6.8	3.5
IP beta functions [m]	1.1	0.3
Maximum Total BB tune shift	0.011	0.03
Full crossing angle [µrad]	104	200



352 Long-Range interactions For 4 Experiments

High luminosity experiments hosted in Interaction Point A and  $G \rightarrow provide maximum luminosity together with good lifetimes$ 

Low luminosity experiments hosted in Interaction Point L and B  $\rightarrow$  keep beam-beam effects in the shadow of the high luminosity IPs  $_3$ 

## Evolution of beam parameters: beam-beam effects





An alternating (Horizontal and Vertical) crossing scheme is chosen for IPA & G in order to passively compensate for tune and chromaticity shifts for the PACMAN bunches

Due to strong radiation damping (emittance reduction) the **beam-beam tune changes over the fill:** 

- $\Delta Q_{TOT} = 0.011$  at the beginning of the fill
- $\Delta Q_{TOT} = 0.016$  at the END of the Collide&Squeeze
- $\Delta Q_{TOT} = 0.03$  after two hours (maximum value)

Explore limitations for the different beam-beam cases Propose a robust baseline and explore limits of ultimate

See talk R. Martin



Tot. crossing angle of 200 µrad

End of Collide&Squeeze: LR<sub>sep</sub> = 20  $\sigma \rightarrow$  DA ~ 8.5  $\sigma$ 

The choice of the crossing angle is **based on the Dynamic Aperture studies** 



Tot. crossing angle of 200 µrad **Baseline:** LR<sub>sep</sub> =  $30 \sigma \rightarrow DA > 13 \sigma$ Ultimate: LR<sub>sep</sub> =  $17 \sigma \rightarrow DA = 7.2 \sigma$  = baseline with reduced crossing angle ~ 104 µrad (green points)

End of Collide&Squeeze: LR<sub>sep</sub> = 20  $\sigma \rightarrow$  DA ~ 8.5  $\sigma$ 

Margins available and several crossing schemes possible (HH,VV, HV or mixed status) to "spread" energy deposited at the interaction region  $\rightarrow$  ROBUST Baseline!



Tot. crossing angle of 200 µrad **Baseline:**  $LR_{sep} = 30 \sigma \rightarrow DA > 13 \sigma$ **Ultimate:**  $LR_{sep} = 17 \sigma \rightarrow DA = 7.2 \sigma$  = baseline with reduced crossing angle ~ 104 µrad (green points)

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Challenging case where limits have to be explored and understood to study the physics reach and potentials of such collider



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## DA with multipolar errors

FCC New Lattice L\* 40 m 200 µrad at IPA and IPG



- 60 seeds simulation  $\rightarrow$  60 different machines
- Minimum of DA 5  $\sigma$  reached  $\rightarrow$  Reduction of 2  $\sigma$  w.r.t. the case without errors
- Challenging set-up that needs further studies and newer ways to look at DA because of the very large parameter space → Machine Learning project on-going to automatize the optimization of DA-lifetimes and feedback to design

### Low Luminosity experiments: IPL & IPB

#### See talk M. Hofer



The long-range effects of IPL and B will impact bunches differently (no passive compensation)

To have them not perturbing the high luminosity experiments should have angles (tot) > 180 µrad (3 m optics)

Head-on collisions: level by separation to avoid strong tune shifts

Same strategy as for in LHC and HL-LHC

Long range: crossing angles larger than 180 µrad for the 3 m optics Head-on: apply separation leveling of luminosity → limit on integrated luminosity per year of run! Need to be defined together with tune optimization

### Global compensation of long range interactions

See talks A. Chance, E. Cruz

We choose to have Landau Octupoles powered such that they compensate the BB long-range effects:

- provides larger stability for single beam (see beam stability studies)
- allows for larger Dynamic aperture  $\rightarrow$  beam lifetimes

Full integration in the lattice design (J. Shi et al., CERN-ACC-NOTE-2017-036)



Lattice and Beam-Beam optimized together to enhance at a design stage the natural compensation between effects and allow these flexibility.

## Head-on limit: losses and emittance growth



- Baseline scenario (total beam-beam tune shift 0.02) shows no limitations (confirmed also by LHC measurements of lifetimes )
- Ultimate (total beam-beam tune shift 0.03) is challenging → optimization of the working point improves beam quality
- The ultimate beam-beam tune shift of 0.03 considered for the FCC-hh baseline with crab cavities seems within reach while the limit for non-zero crossing angle is significantly smaller

Further studies needed to explore possible limitations linked to a larger head-on beam-beam tune shift: LHC data benchmark fundamental!

# Head-on Limit: beta-beating



 The change of the β-function assuming a series of small quadrupole errors is given by:

$$\frac{\Delta\beta(s)}{\beta_0(s)} = \frac{2\pi (s)}{\sin(2\pi Q_0)} \sum_{i=0}^N \cos(2|\mu_0(s) - \mu_0(s_i)| - 2\pi Q_0)$$

• The beating is directly proportional to the BB parameter

MAD-X (no lattice errors) L\*=40 m and β\*=30 cm (full crab x-ing)





- $\xi_{bb,tot}=0.011$  (beg. Fill)  $\rightarrow \Delta\beta/\beta = 8$  %
- $\xi_{bb,tot}=0.03 \text{ (max)} \rightarrow \Delta\beta/\beta = 22 \%$
- This optics distortion becomes another parameter on optimization (HO, octupoles)
- Collimation tollerance is fixed at  $\Delta\beta/\beta < 10$  % as in the LHC

### Beta-beating: impact on aperture

With Collimation team

- We explored the impact on machine and collimator apertures for various  $\xi_{bb}$ . Only linear beating is considered (worst case).
- Machine aperture bottleneck in separation dipole MBRD.B4RA.H1.
- For HO only no aperture decrease for expected  $\xi_{bb}$  FCC range (0.01-0.03).
- For HO+LRs there is a decrease of -0.25  $\sigma$  for max  $\xi_{bb}$ =0.03
- Collimation hierarchy is not changed
- Non-gaussian beams to Luminosity impact is minimal in the range of interest  $\xi_{bb}$  FCC range (0.01-0.03).



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In the range of study  $\xi_{bb}$  FCC range (0.01-0.03)small impact observed  $\rightarrow$  further studies needed.



## Alternative solutions: flat optics

See talk L. Van Riesen-Haupt

Flat optics is the natural back up solution in case crab cavities do not perform as expected

Beam-Beam long-range and head-on behave differently:

- Due to trains and broken passive compensation tune shifts (for H-V crossing schemes)
- · Head-on beam-beam creates larger detuning with amplitude



Study case beta ratio of 4 and H-V crossing scheme

- Flat optics will need the 43 % more separation for round
- Correcting for tune shift reduces the needs but still need 26% larger separation
- Larger aspect ratios of betas make things worse
- Need a special operation mode and further studies

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## Two beam stability: fully squeezed optics



See talk of O. Boine-Frankenheim

- Better dynamic aperture expected for negative oct. and optimized lattice (DA <5 σ for positive polarity to be added: multipolar errors + high chromaticity operations)
- Negative polarity provides more margins in terms of DA thanks to LR global compensation
- The stability is reduced at the end of the betatron squeeze → additional margins are required: collide at larger β\*

## Two beam stability: Collide & Squeeze

In order to avoid stability reduction during the squeeze, collisions at larger  $\beta^*$  are foreseen (as for the HL-LHC)

Beam-beam wise we cancel long-range beam-beam effects and have only head-on  $\rightarrow$  go to reduced separations when beams transverse emittances have been reduced due to damping



• Stability reduction evaluated w.r.t. the flat top SD with negative octupole polarity (relative difference of the negative real part at the half-height)

 $\beta$   $\beta$ \*= 1.1 m: reduction of stability of few percent  $\rightarrow$  negligible effect

## Two beam stability: fully squeezed optics



- Better dynamic aperture expected for negative oct. and optimized lattice (DA <5 σ for positive polarity to be added: multipolar errors + high chromaticity operations)
- Negative polarity provides more margins in terms of DA thanks to Long Range global compensation → need for a global optimization with lattice

### Stability during the collapse of the separation bumps

Octupoles powered with negative polarity at their maximum strength



- Maximum stability when in head-on collisions
- Two minima identified: at 5  $\sigma$  and 1.75  $\sigma$  separation (larger than EOS with  $\beta^*$ = 0.30 m)
- Go faster than instability rise time < 5 s (m=-1 Q'~ 8-6 units) as done for LHC and HL-LHC

#### Alternatives for Landau damping: Electron Lens and RF quadrupoles



Electron lens [V. Shiltsev et al., 10.1103/PhysRevLett.119.134802]

- 140 mA will be sufficient to provide enough Landau damping for m=1 up tp Q'=20 units (no feedback)
- 400 mA are required to damp m=0 at Q'=0
- $\rightarrow$  very efficient since it acts on the core particles
- $\rightarrow$  Can help in compensating beam-beam head-on if needed
- $\rightarrow$  Collimation can also profit of studies



#### Alternatives for Landau damping: Electron Lens and RF quadrupoles



4

3

2

1

0

-1

-2

-3

-4

0

(PvHEADTAIL)

100000

150000

turns

50000

bunch centroid $\overline{x} \ [m]$ 

 $\frac{1e-5}{b^{(2)} = 0.023 \text{ Tm/m}} + b^{(2)} = 0.047 \text{ Tm/m}}{b^{(2)} = 0.093 \text{ Tm/m}} + An RF or instability spread.$ **RF quadrupole** + LO( $\Delta Q_x$ 

200000

250000

Electron lens [V. Shiltsev et al., 10.1103/PhysRevLett.119.134802]

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- An RF quadrupole is equally able to cure the instability by introducing a large enough betatron tune spread.
- RFQuad( $\Delta Q_x$ )<sub>RMS</sub>  $\approx (3.5 \pm 0.5) \cdot 10^{-5}$  $\approx 0.017 Q_s$
- $LO(\Delta Q_x)_{RMS} \approx (2.4 \pm 0.3) \cdot 10^{-5}$  $\approx 0.012 Q_s$

 $300000 \rightarrow$  Study the impact on dynamic aperture  $\rightarrow$  Extend the studies



M. Schenk, K. Li, A. Grudiev

## Summary

- A robust baseline scenario has been studied and beam-beam separation proposed based on dynamic aperture (from 30 σ to 17 σ Long Range separation for β= 1.1 30 cm)
- Optimized optics parameters allow highest dynamic aperture together with a global compensation scheme using Landau octupoles → Scenario with negative oct. polarity included in the CDR
- Head-on beam-beam limit seems far away from chosen parameters with full crab crossing
  (optimized working points improve beam quality)
- Large beta-beating should be expected (22 %) and needs further understand of implications (collimation system, luminosity, multiple IP effects)
- Alternative scenarios have been explored to allow for flexibility in the presence of other constrains
- Fully squeezed optics does not allow margins at end of squeeze (limitation on the SD theory i.e. noise, diffusions mechanisms)  $\rightarrow$  collisions at larger  $\beta^*$  (1.1 m) are foreseen  $\rightarrow$  Collide and Squeeze
- Alternative solutions for Landau damping: RF quads and electron lenses are explored
- Continuous benchmark to LHC data is fundamental to understand predictive power of simulations

# **PACMAN Bunches**



Dynamic Aperture for PACMAN bunches as a function of the total crossing angle in IPA&G

#### H-V alternating crossing scheme

DA for PACMAN bunches always above the DA for Nominal Bunches

The PACMAN effects of tune and chromaticity shifts are negligible assuming the passive compensation with alternating crossing planes in IPA and IPG

## Alternative Solutions: flat optics

Flat optics is the natural back up solution in case crab cavities do not perform as expected



#### Flat optics introduces some unwanted effects that have to be compensated

### Alternative crossing schemes: H-H and V-V

crossing



Alternative crossing scheme have been explored and show larger flexibility in terms of dynamic aperture with optimized tunes:

- HH or VV crossing is equivalent to HV with optimization and easy for the baseline with collide and squeeze
- VV not acceptable at the (0.31-0.32) working point due to strong impact of the 3rd order resonance effect
   → mirrored tunes will solve the problem



## Why maximize Landau damping?

Unwanted effects could reduce Landau damping:

- Linear coupling reduces detuning from Landau octupoles → correct for it during operation
- Particle distribution deformation due to resonance excitation → good Dynamic Aperture (no losses)
- Noise make the beam more sensitive to any external excitation → not easy to control



BTF Exc. Amplitude =  $2 \cdot 10^{-4} \sigma$ 

- For a chromaticity Q'=10 units the required increase is of ~50%
- Possible mechanism to explain the observed higher octupole threshold needed during LHC operation
- External sources of noise can compromise the beam stability, with latencies of several minutes as shown by recent experimental studies in the LHC by X. Buffat et *al*. [The impact of noise on beam stability, 8th HL-LHC collaboration meeting CERN 11.10.2018]

Maximize beam stability during the full operational cycle Limitation in the strength of the FCC Landau octupoles might be a problem in the presence of noise  $\rightarrow$  collisions at 1.1 m  $\beta^*$  ensure stability with margins

# Nominal and PACMAN bunches

- Nominal Bunches: bunches in the middle of a train → see all LR interactions
- PACMAN bunches: located in the head or in the tails of the trains, see empty slots → see fewer long range interactions

## Different beam-beam effects for the two families of bunches





#### **Baseline no relevant PACMAN effects expected**

Ultimate case differences in tune shift are expected

- dynamics is driven by Nominal bunches
- optimizations of working point needed also at bunch to bunch level

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