

Measuring Higgs self-coupling at the FCC

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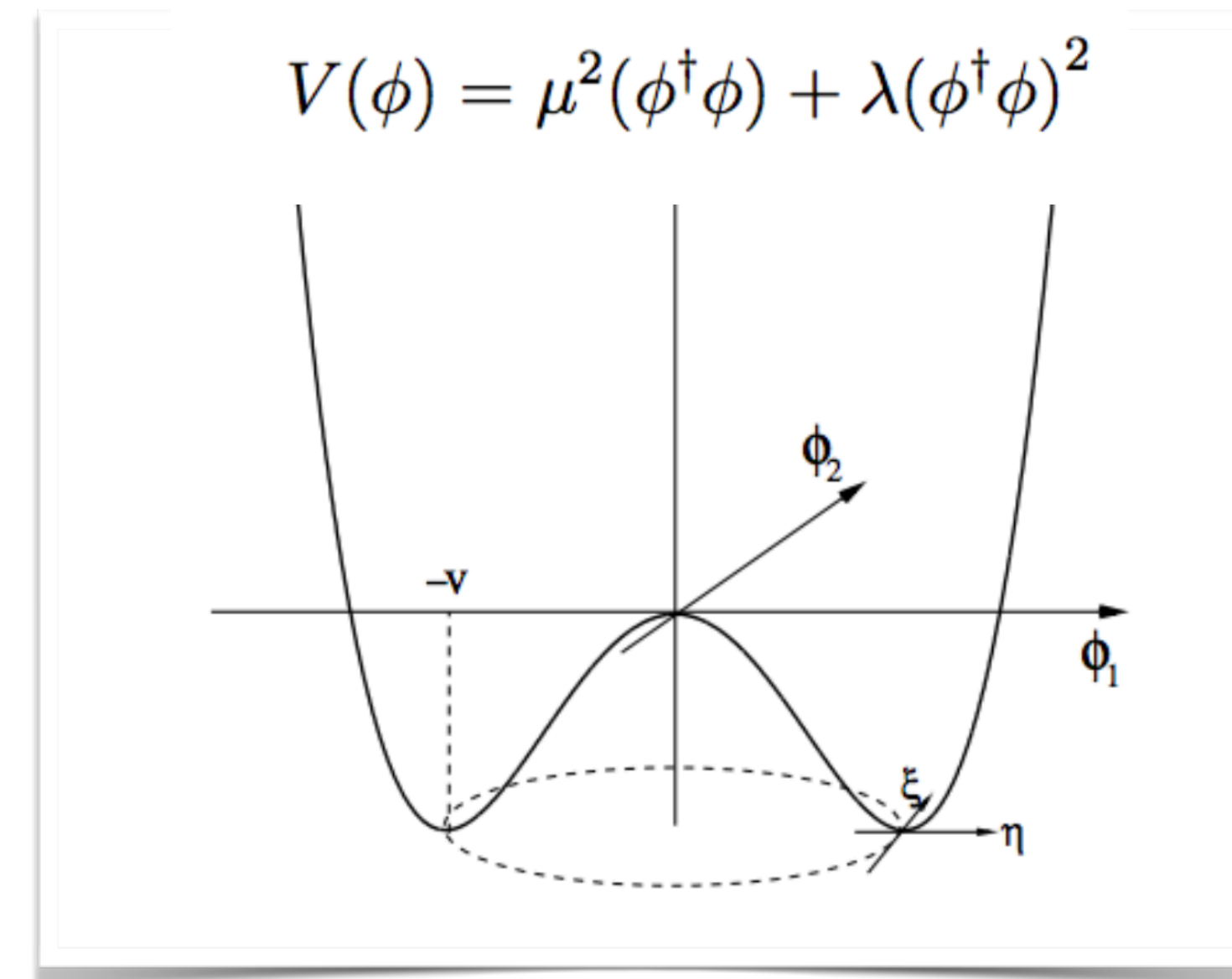
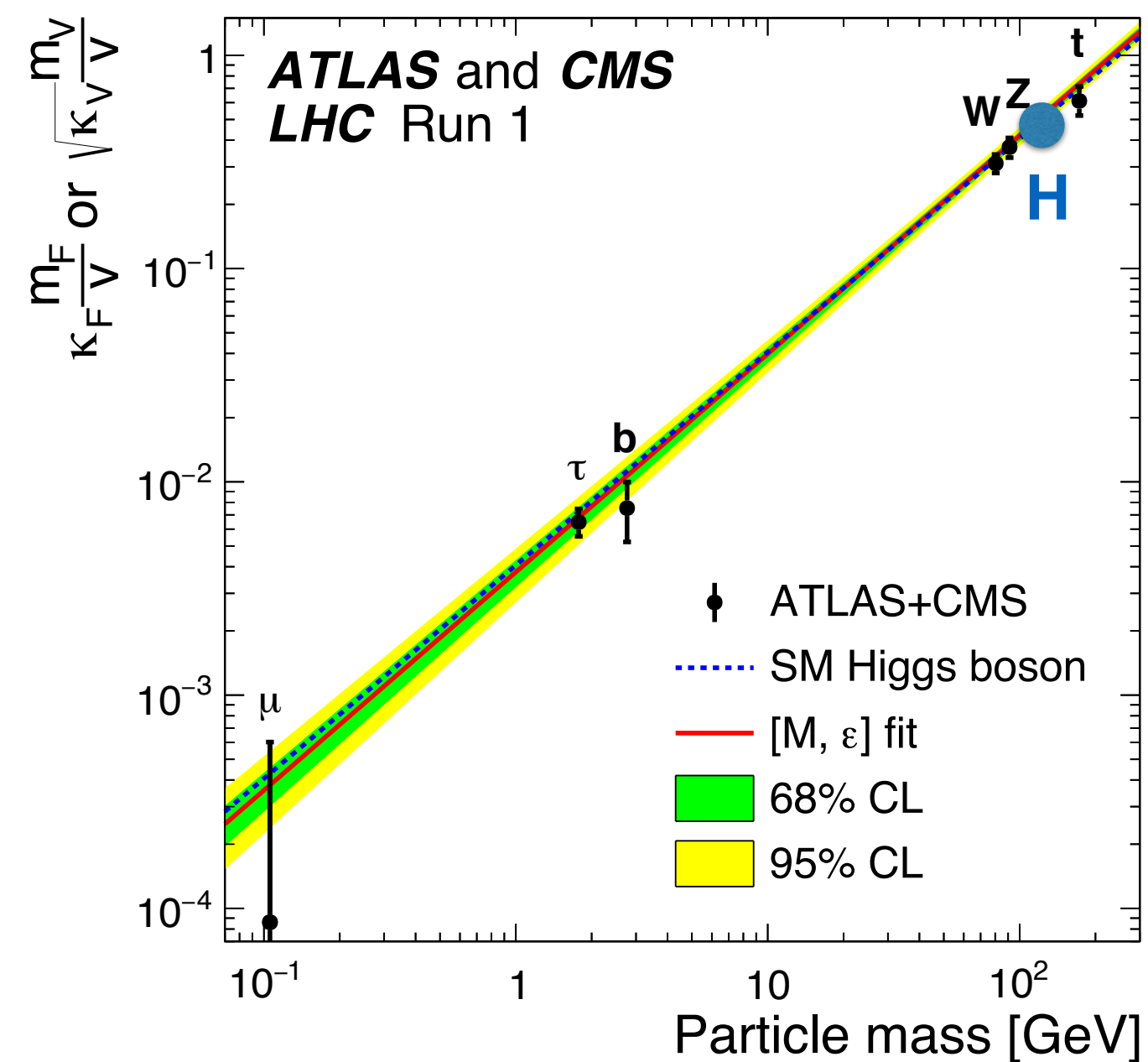
also based on:
[1606.09408], [1802.01607],
[1809.10041]

Why measure HH?

- Measurement of HH gives access to the magnitude of the **Higgs self-interaction**:

$$V = \lambda v^2 H^2 + \lambda v H^3 + \frac{\lambda}{4} H^4$$

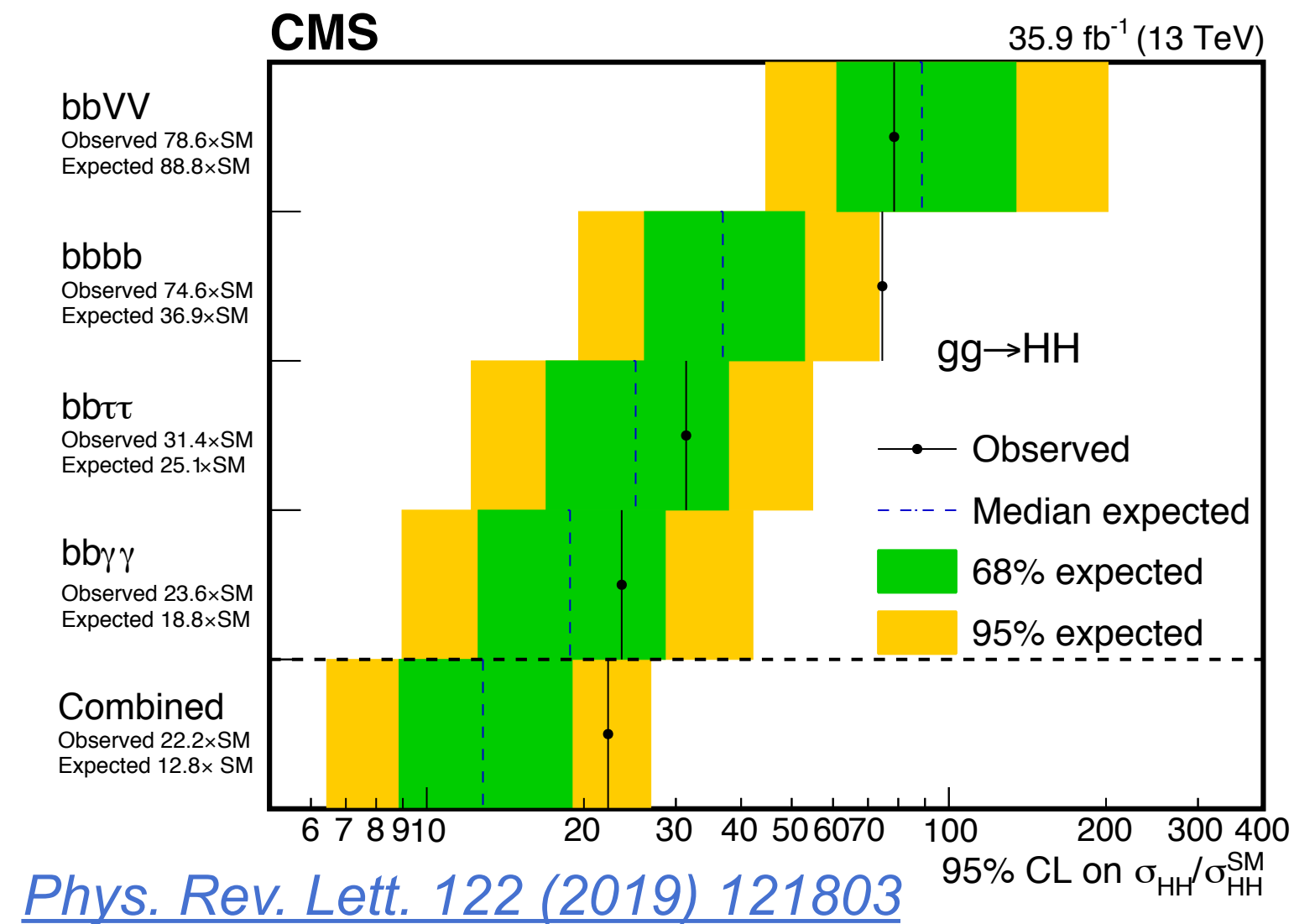
- Higgs trilinear coupling constant λ only depends on the Higgs field VEV and Higgs mass. Purely determined by EWSB (in the SM).
- Shape of the **Higgs potential** is determined by the self coupling value (EWPT)



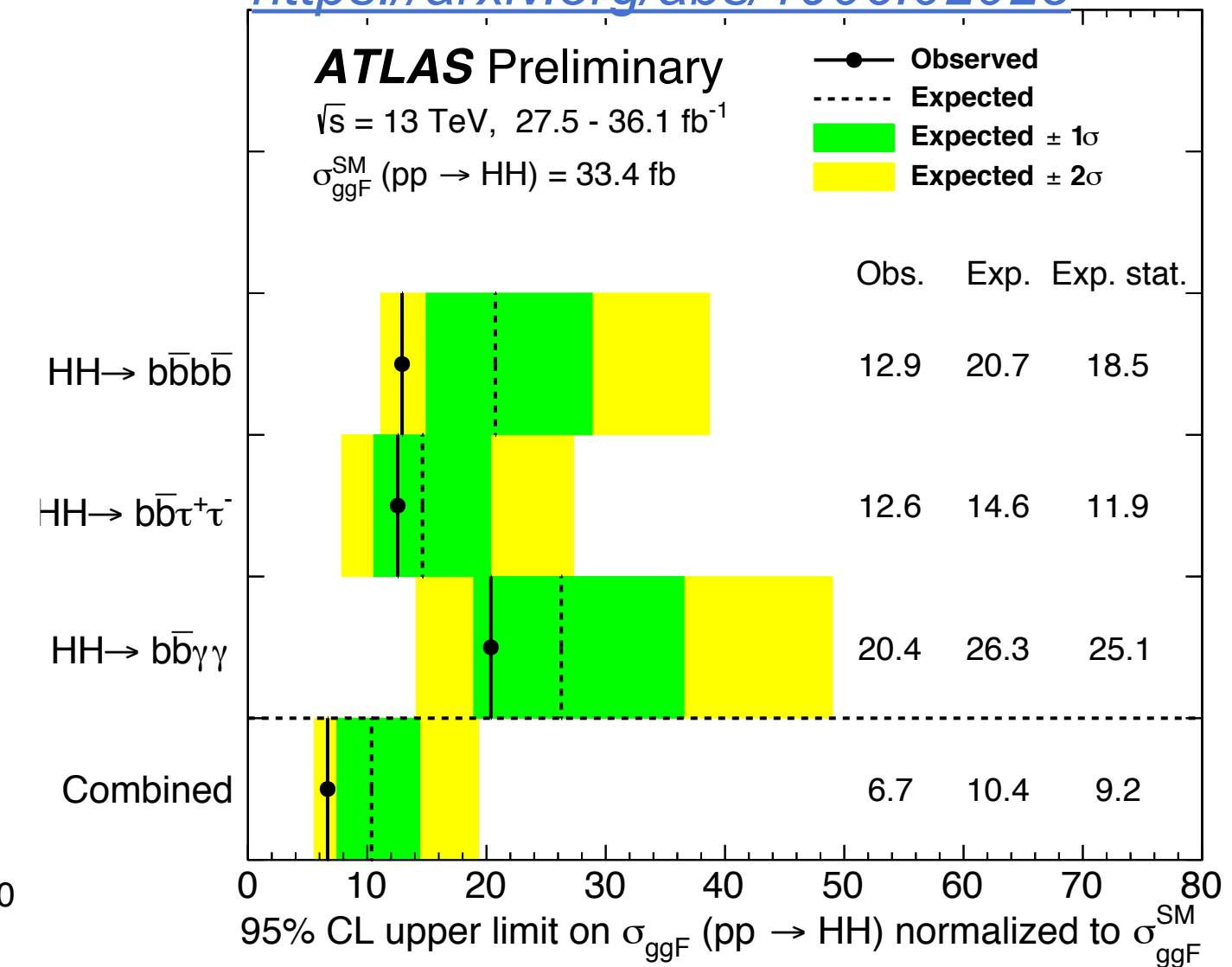
Prospects for HH measurements

1) LHC

- $O(10)$ - $O(3)$
- Could detect large anomalous coupling



<https://arxiv.org/abs/1906.02025>



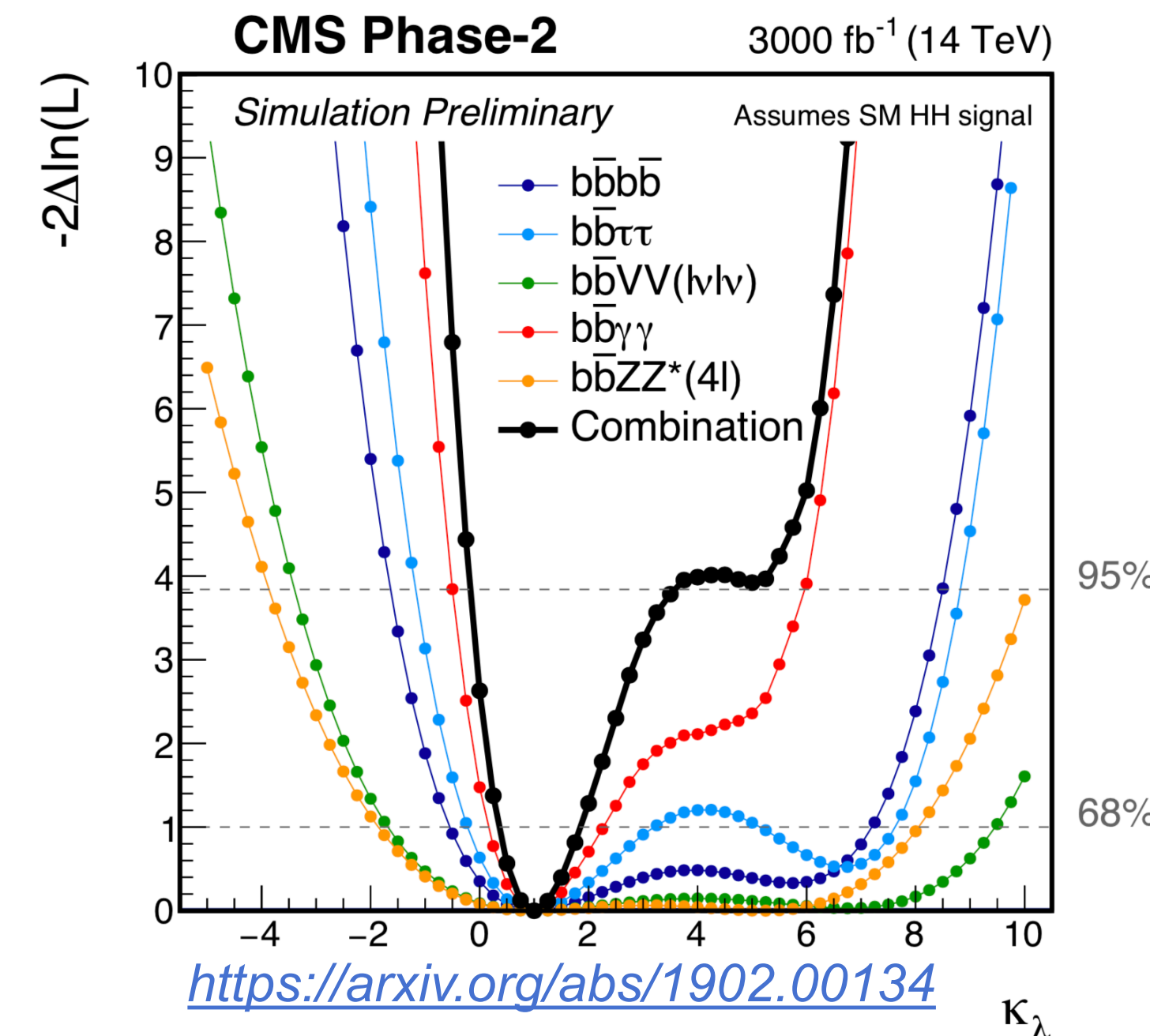
2) HL-LHC

- $O(1)$
- Potential for evidence (3σ precision)

3) FCC-ee : single H couplings + indirect measurement

- Potential for observation (5σ precision)

4) FCC-hh : precision measurement

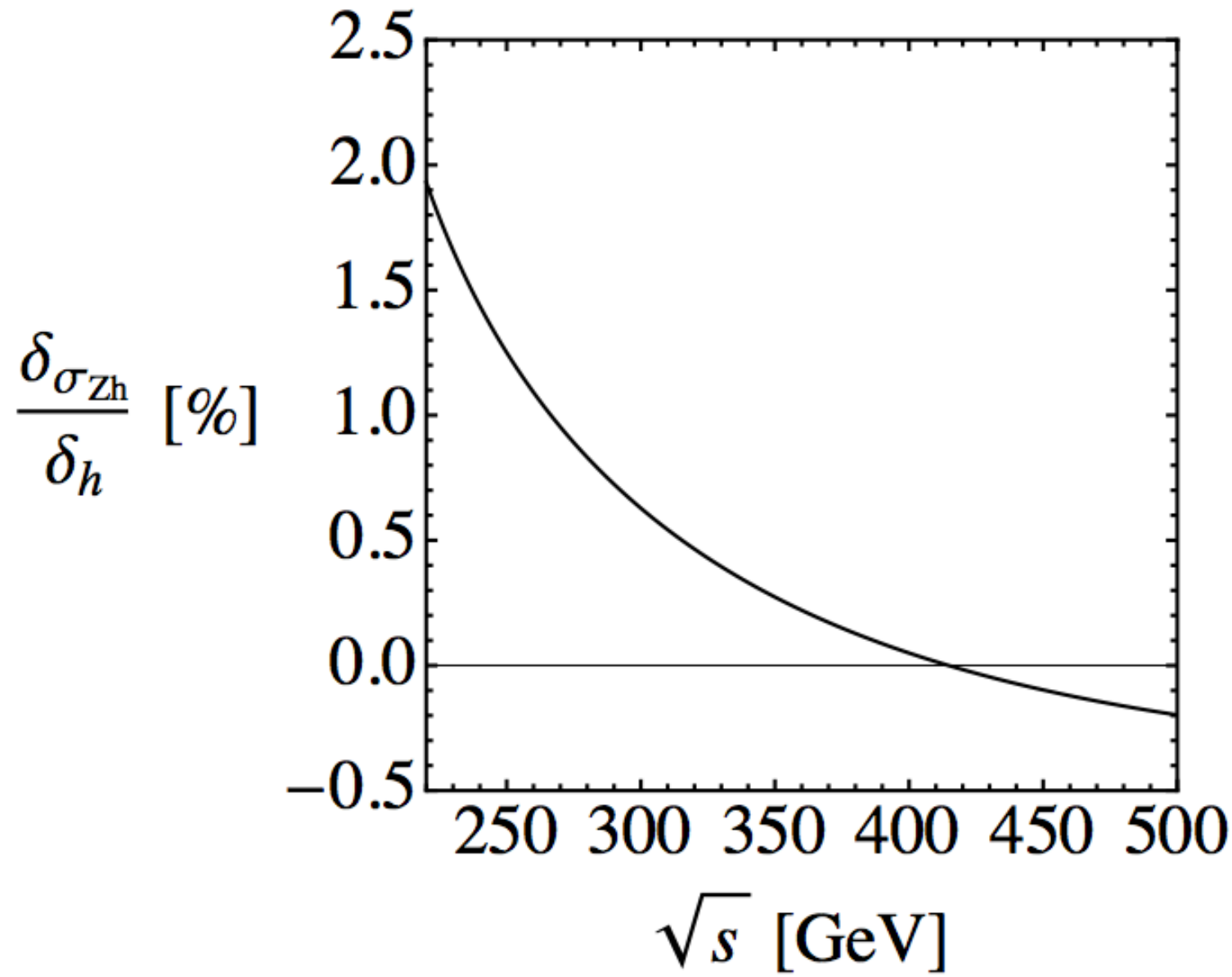
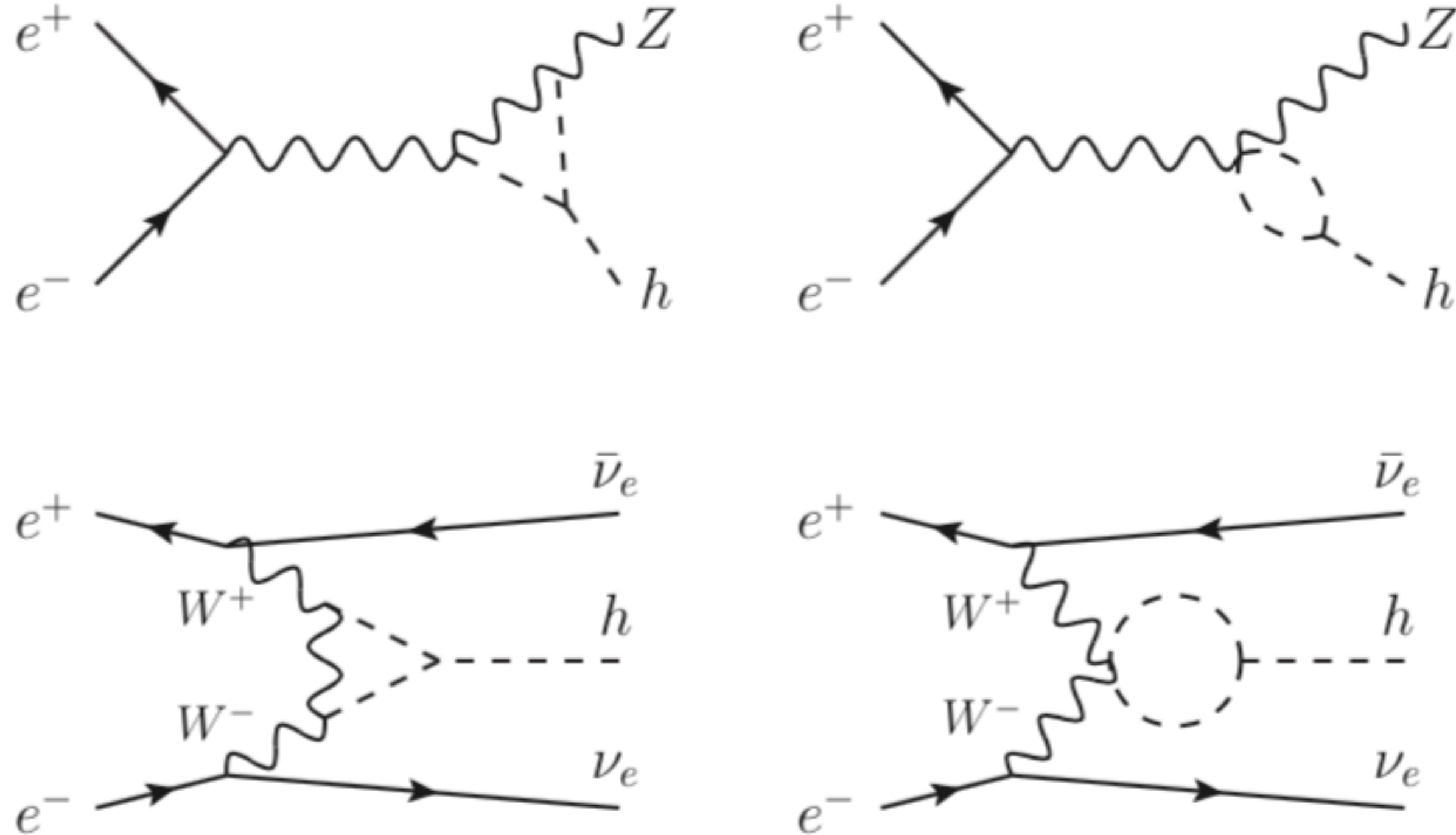


Measuring the Higgs self-coupling at FCC-ee

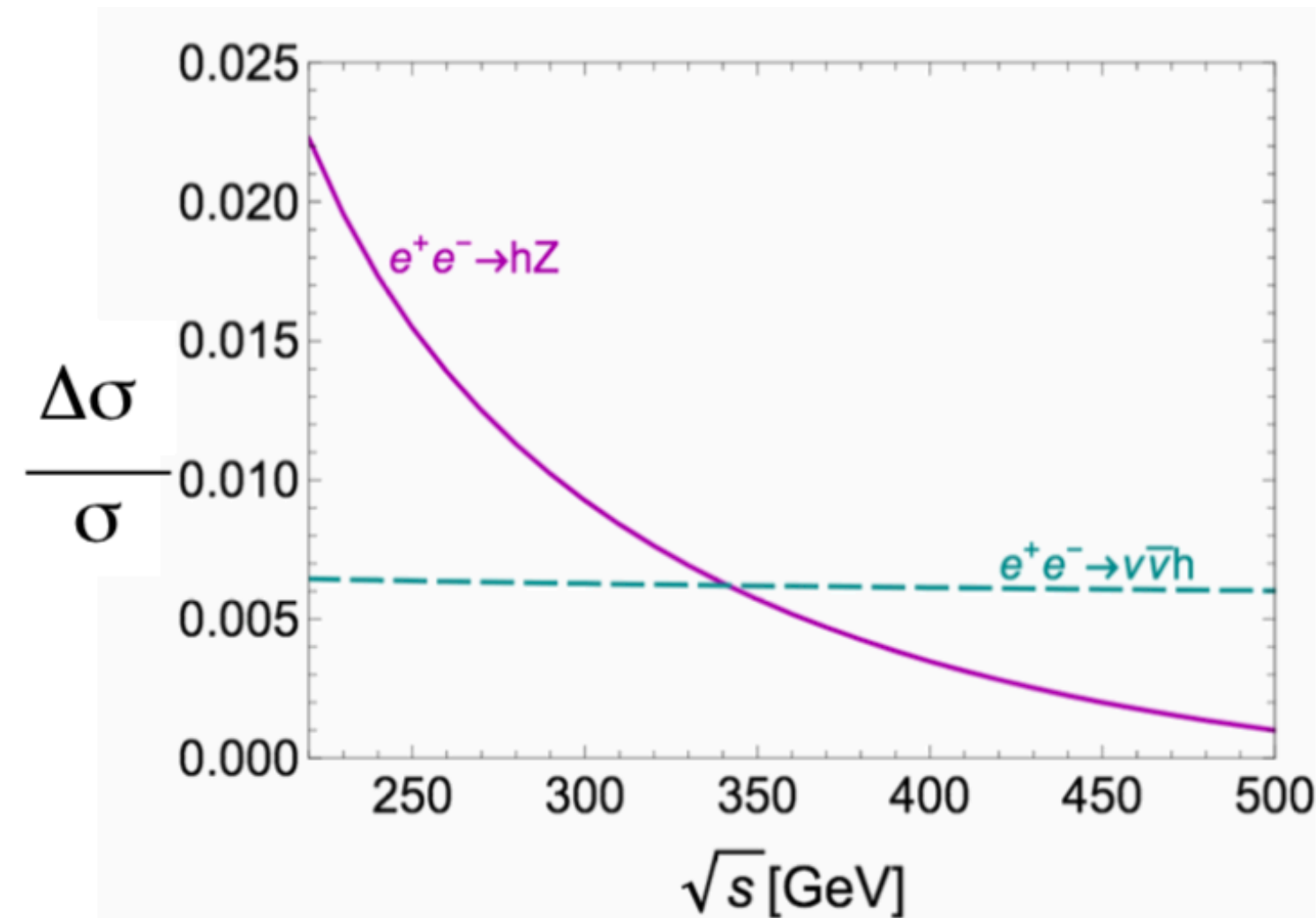


- High precision measurement of Higgs BR
- Large Luminosity, high precision on single Higgs couplings
 - Possible to determine Higgs self coupling via indirect measurement
- A 100% modification of the Higgs self-coupling changes the HZ cross section by 2% at 240 GeV and 0.5% at 365 GeV

McCullough [1312.3322]
DeVita et al.[1711.033978]

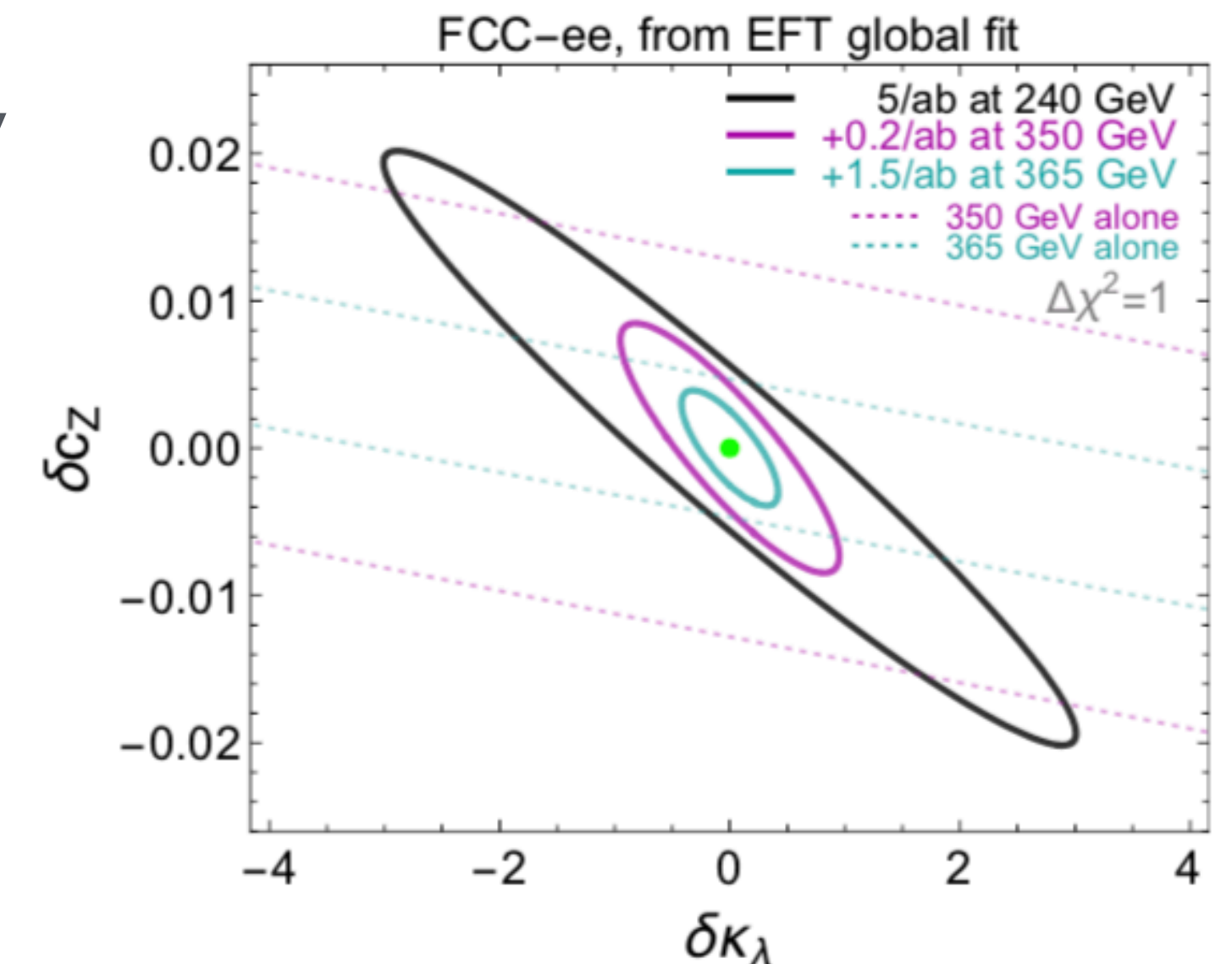


Higgs trilinear coupling at FCC-ee



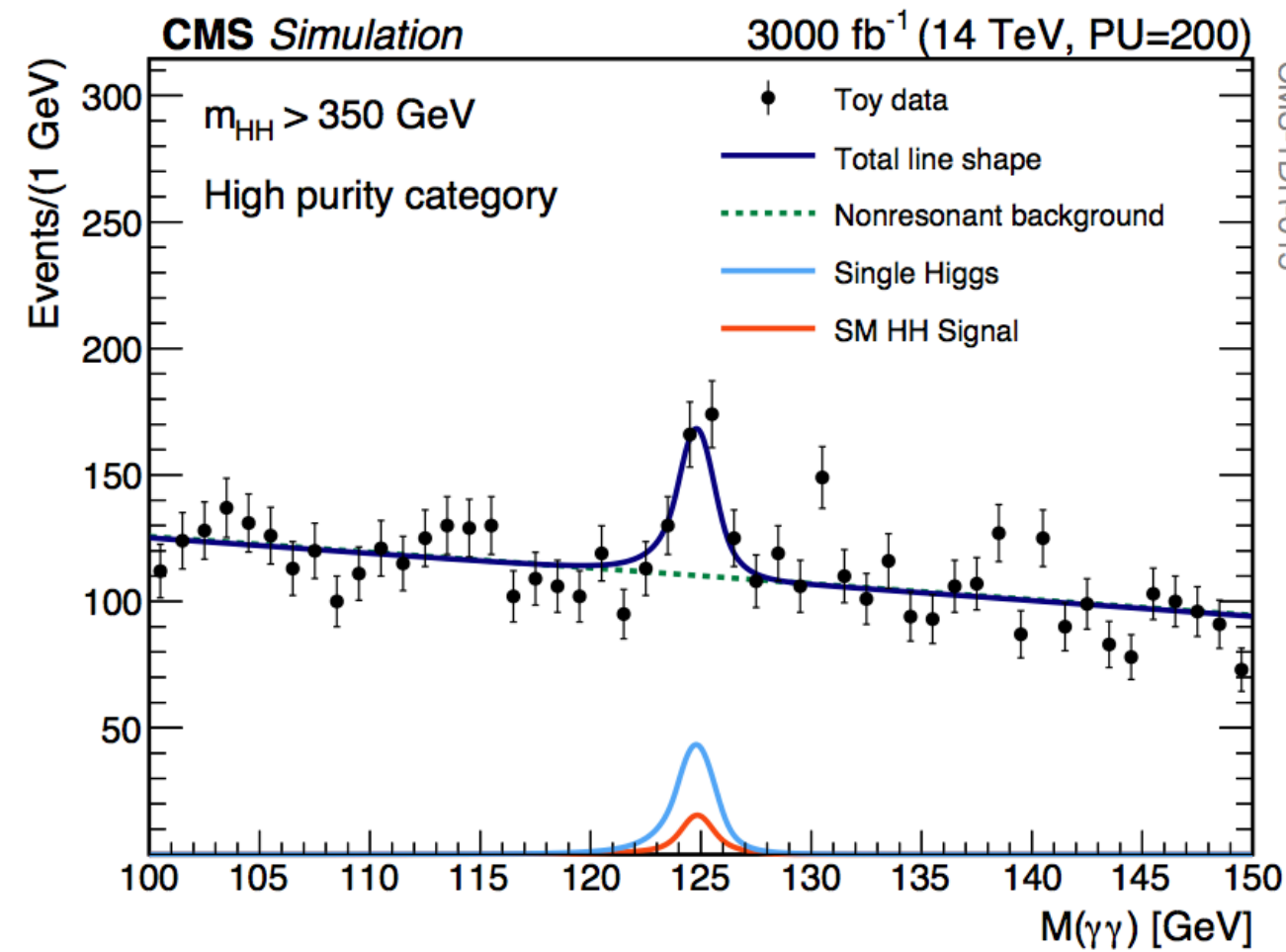
- If all other SM coupling fixed (in particular HHVV, HVV coupling):
 - $\delta_{\kappa\lambda} \approx 12\%$ (2 IPs - baseline FCC-ee)
 - $\delta_{\kappa\lambda} \approx 9\%$ (4 IPs)
- Single Higgs cross section at loop level depends on HVV and HHVV:
- At least two energy points lift the degeneracy

- With baseline design, 2 IPs, 15 years at $\sqrt{s}=90+160+240+350+365$ GeV
 - $\delta_{\kappa\lambda} \approx 42\%$ (34% combined with HL-LHC)
 - To be compared with 30 years of ILC₂₅₀₊₅₀₀
- With 4IPs and 15 years of running:
 - $\delta_{\kappa\lambda} \approx 25\%$ (21% combined with HL-LHC)
 - To be compared with 15 years of CLIC₃₈₀₊₁₅₀₀
 - 5σ sensitivity by 2050

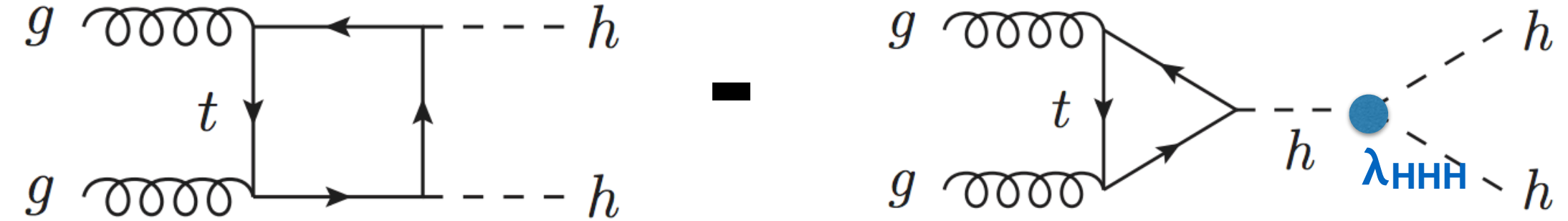


Higgs self-coupling at FCC-hh

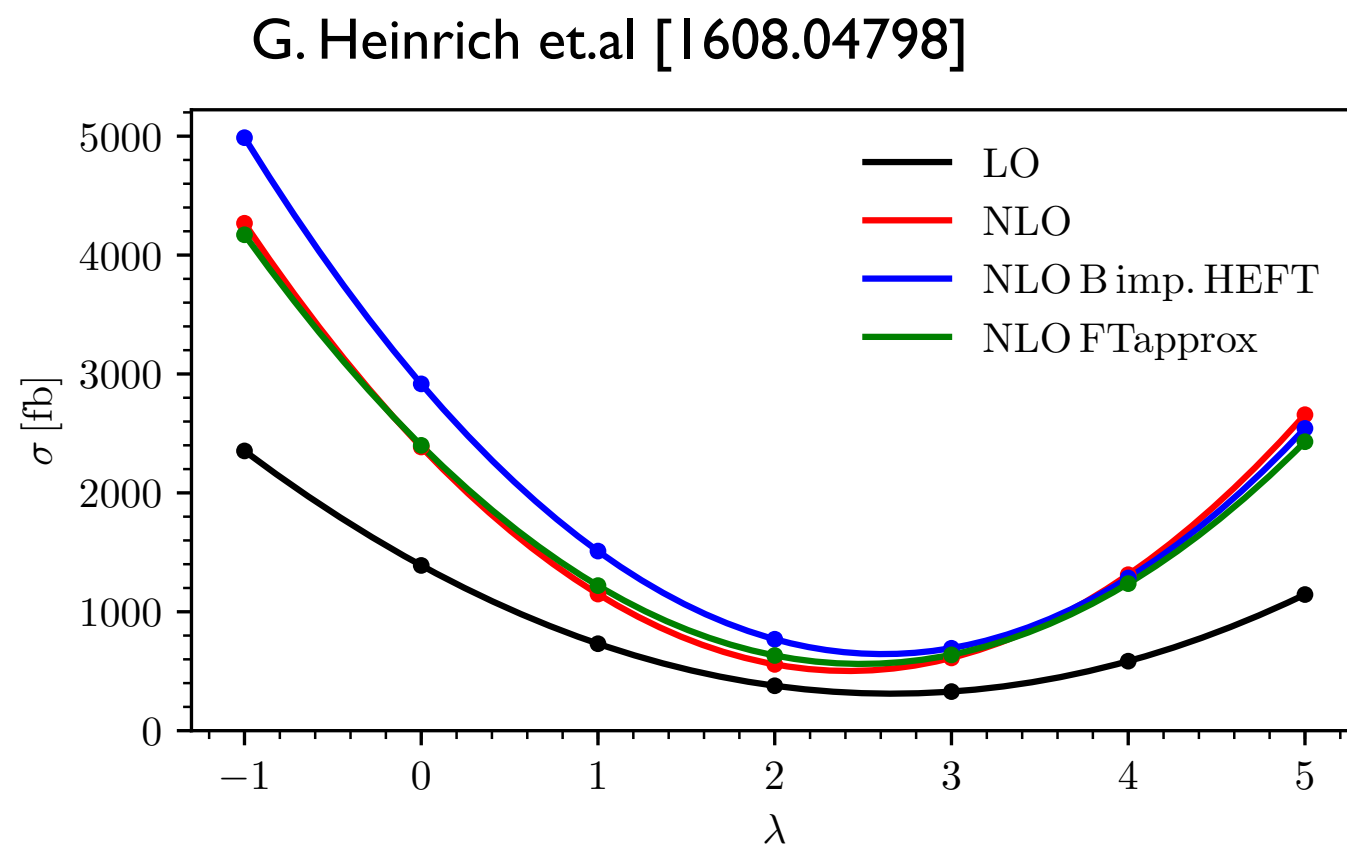
HL-LHC



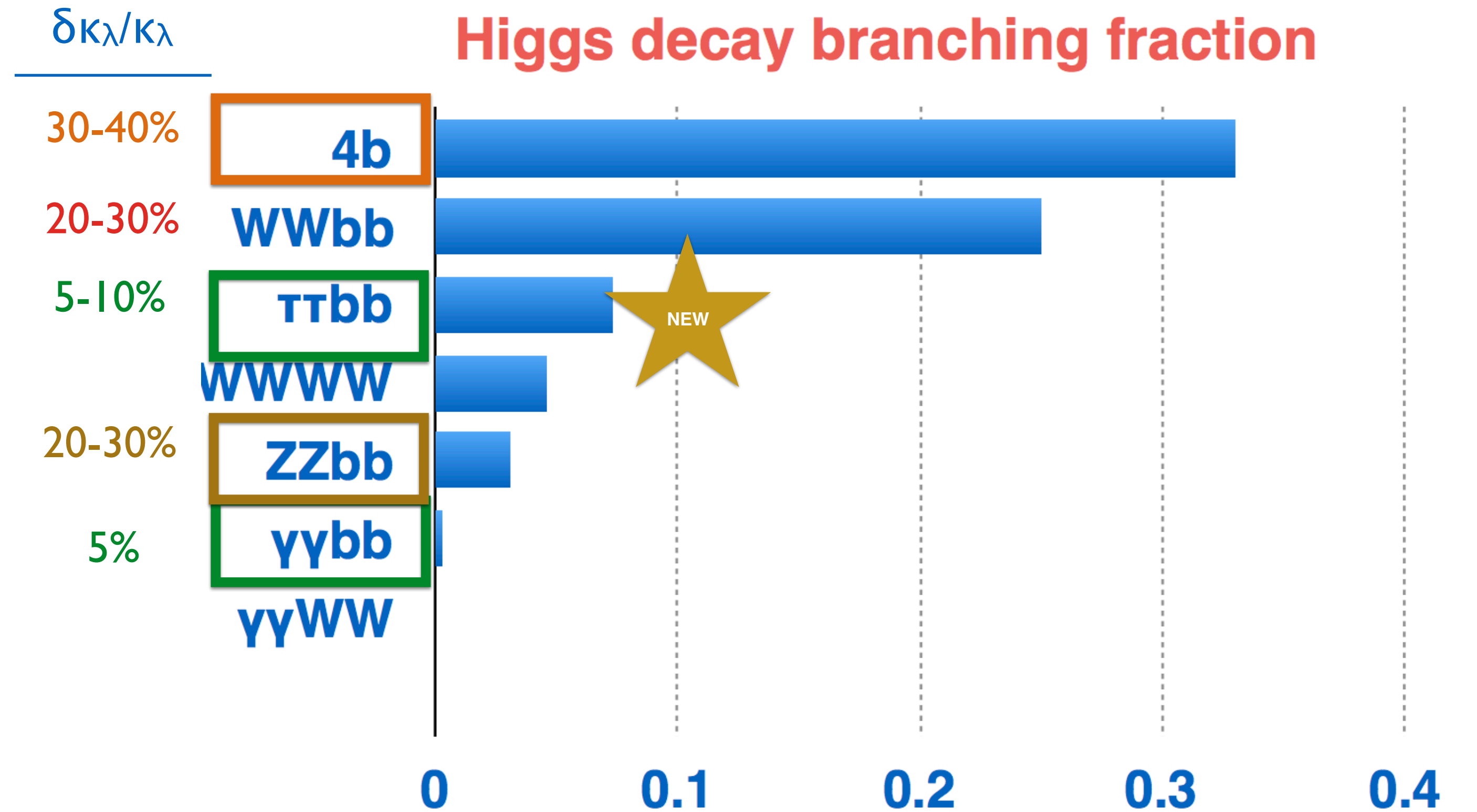
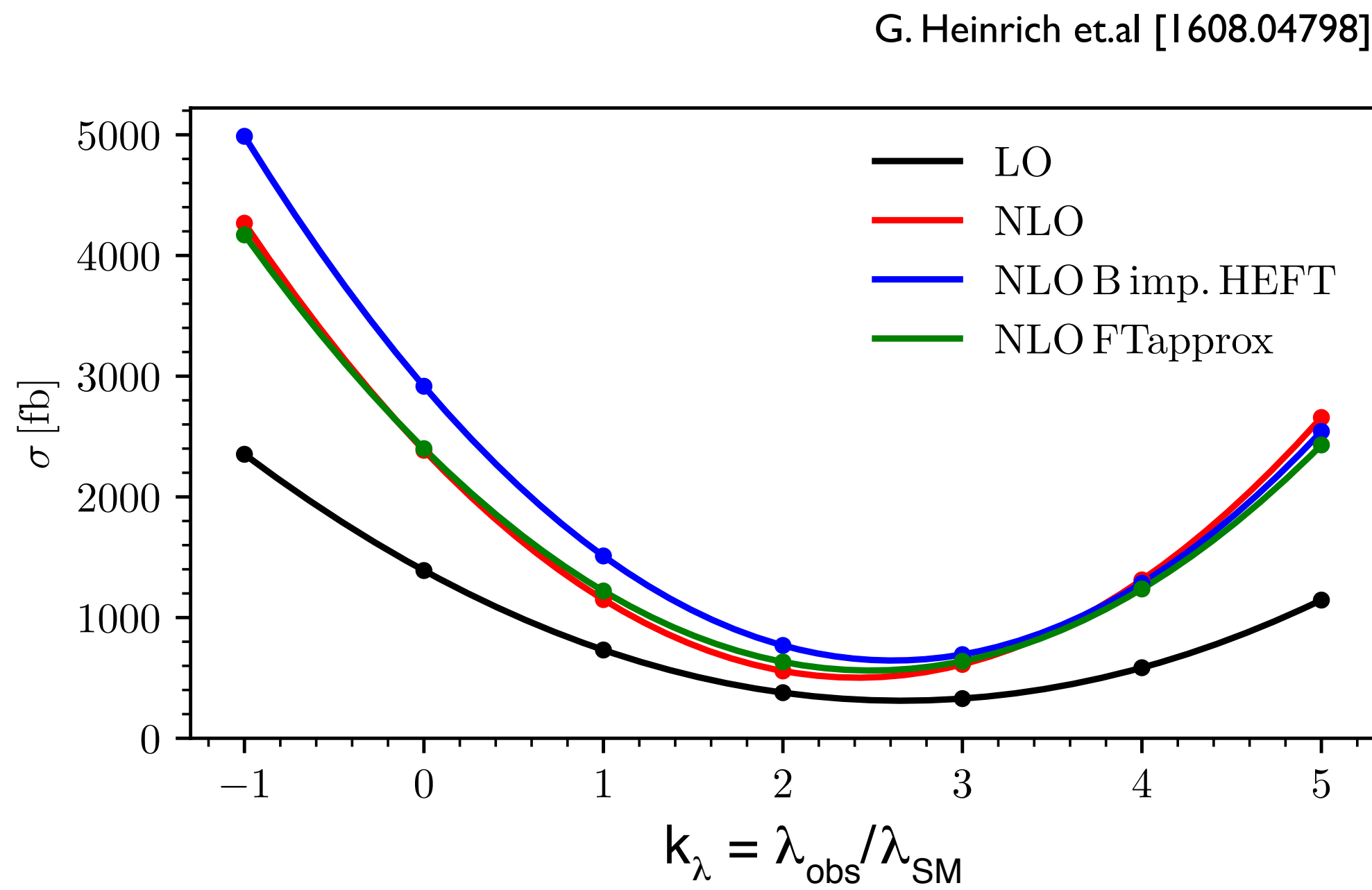
gluon fusion:



- Very small cross-section due to **negative interference** with box diagram
- HL-LHC projections : $\delta k_\lambda / k_\lambda \approx 50-100\%$
- Expect large improvement at FCC-hh:
 - $\sigma(100 \text{ TeV})/\sigma(14 \text{ TeV}) \approx 40$ (and Lx10)
 - x400 in event yields and x20 in precision
- main channels studied:
 - bbγγ (golden channel)
 - bbZZ(4l)
 - bbbbj
 - bbττ



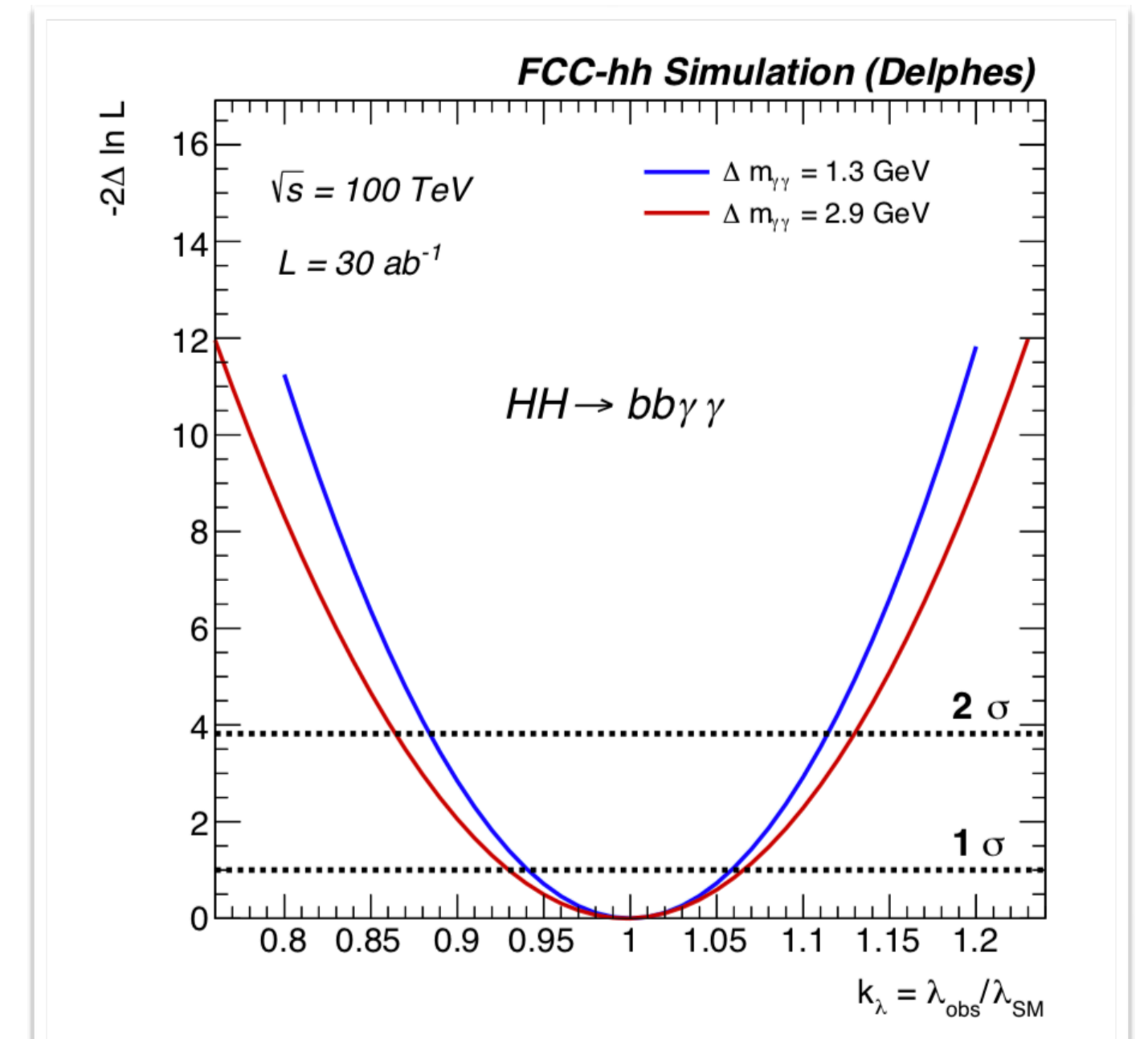
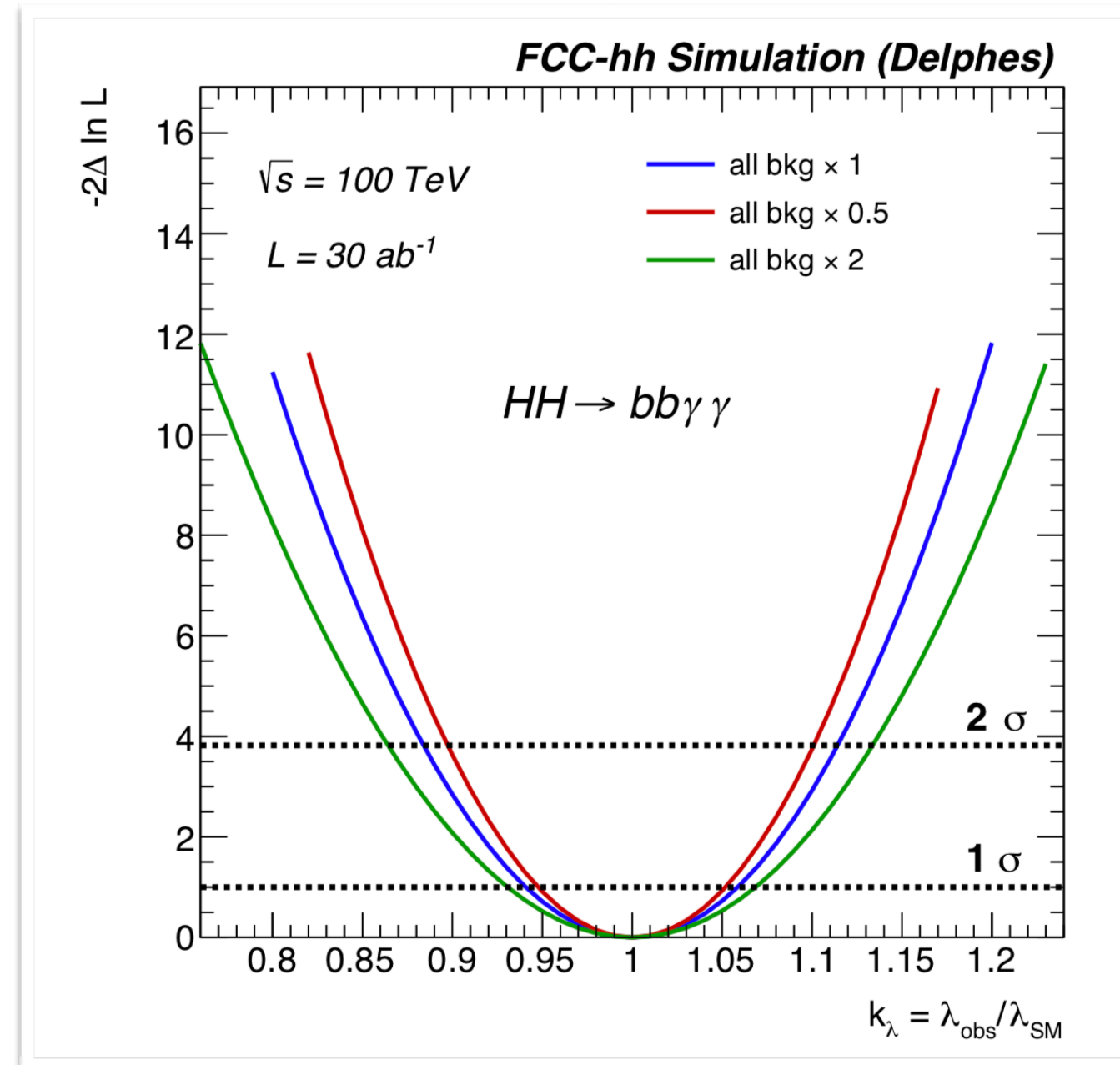
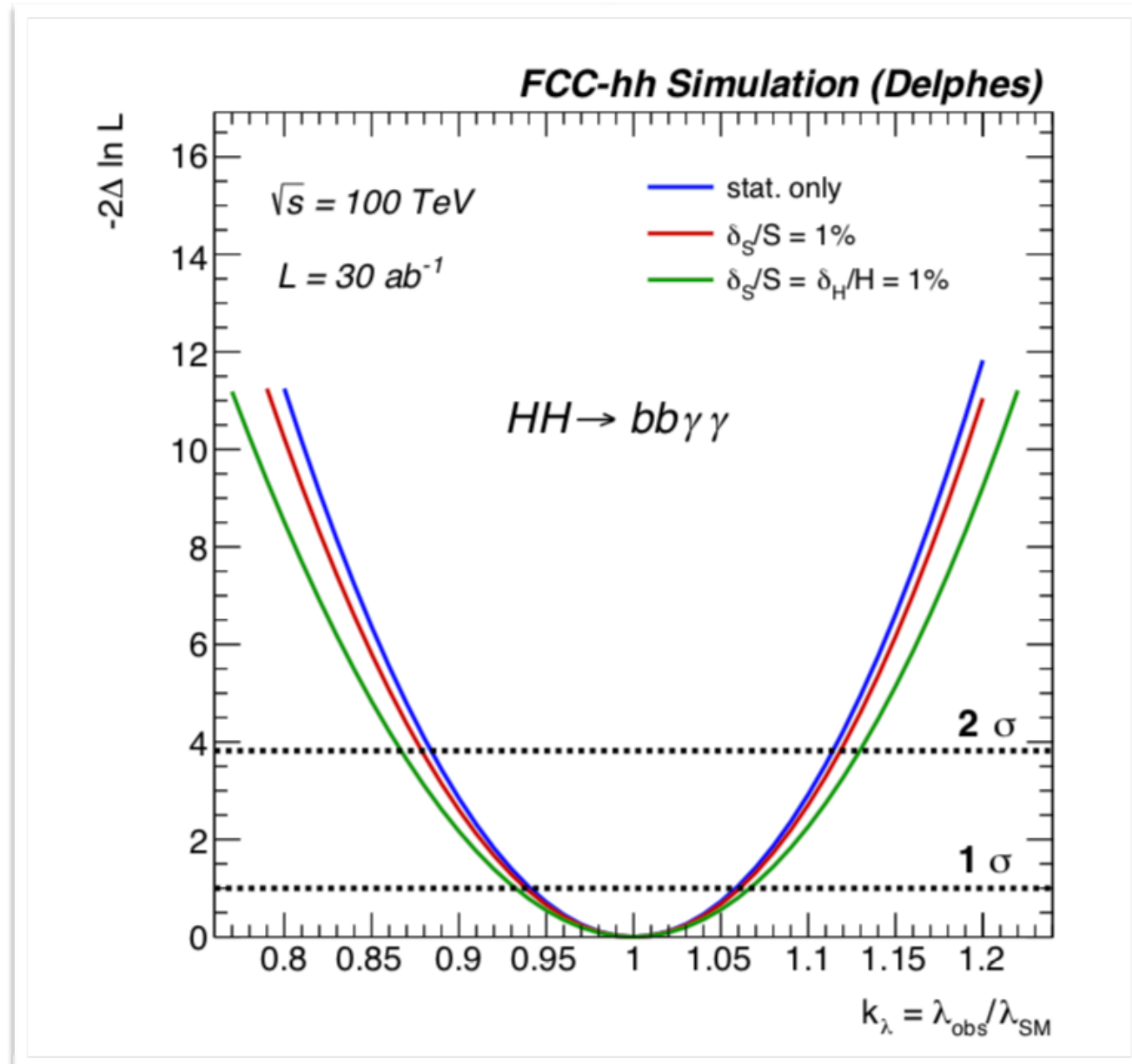
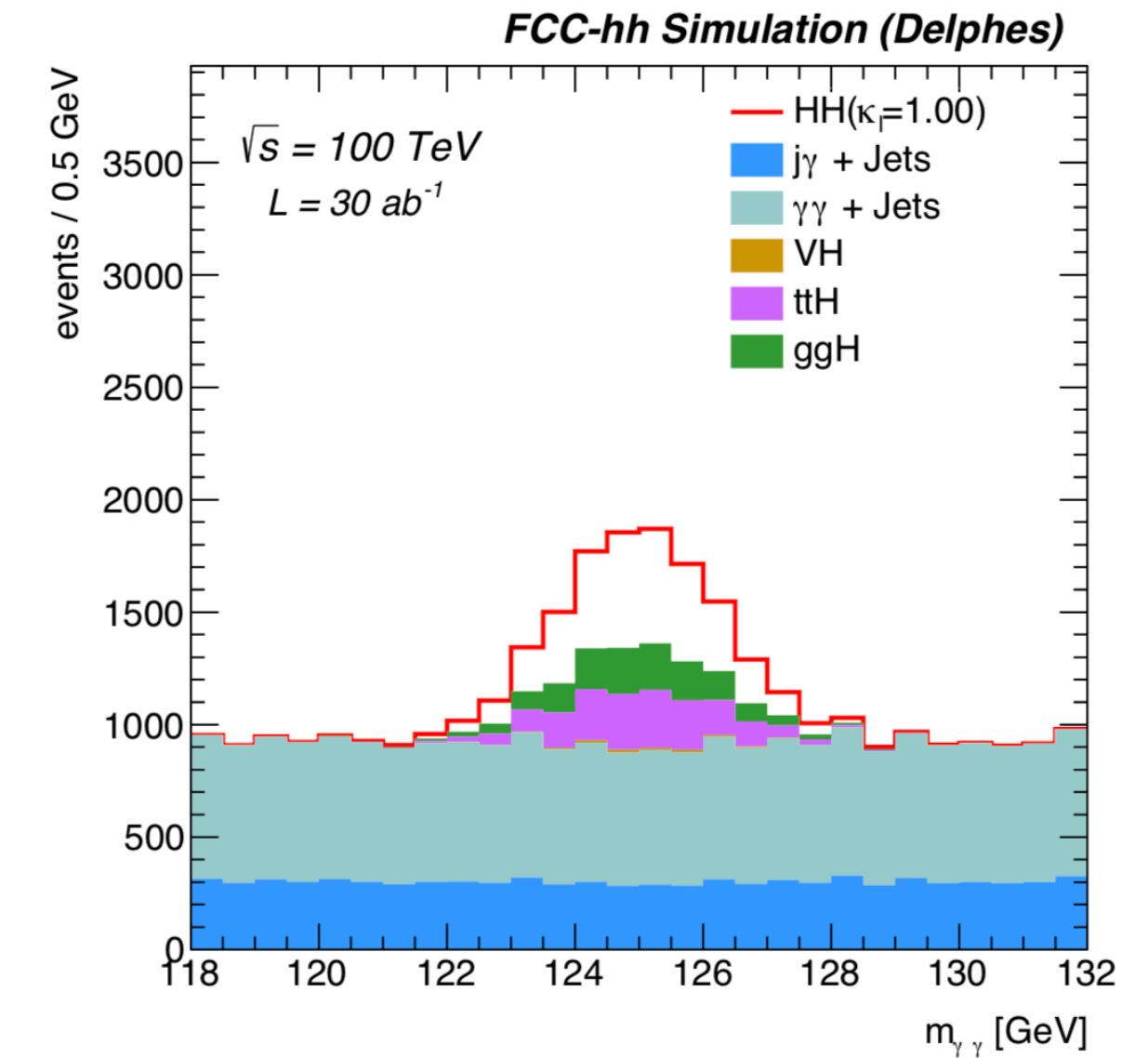
HH@ FCC-hh: production at 100 TeV and decay



- Higher order in QCD helps λ -dependent K-factor sensitivity (not only the rate)
 → included here ($bb\gamma\gamma$, $bbZZ$)!

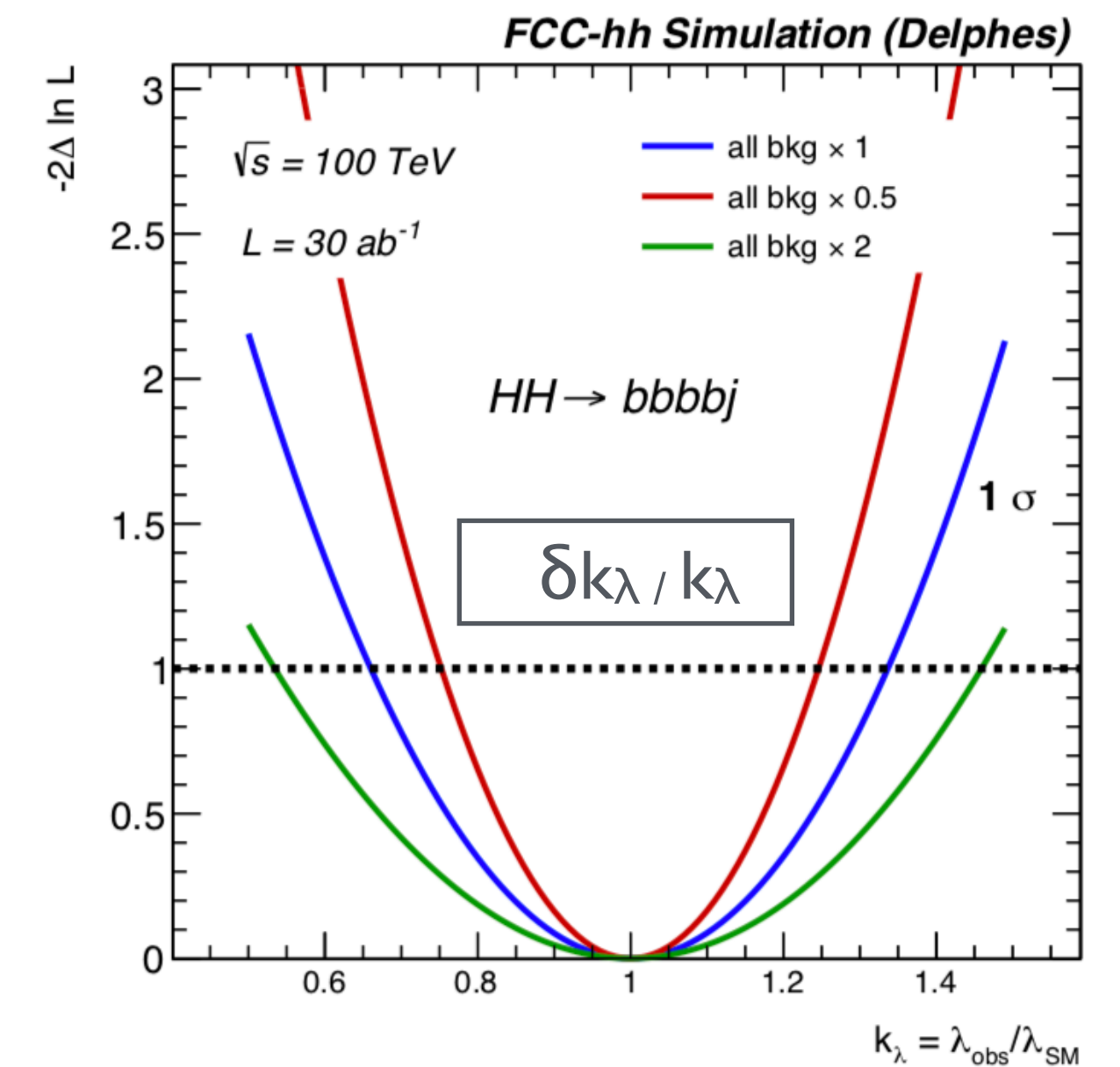
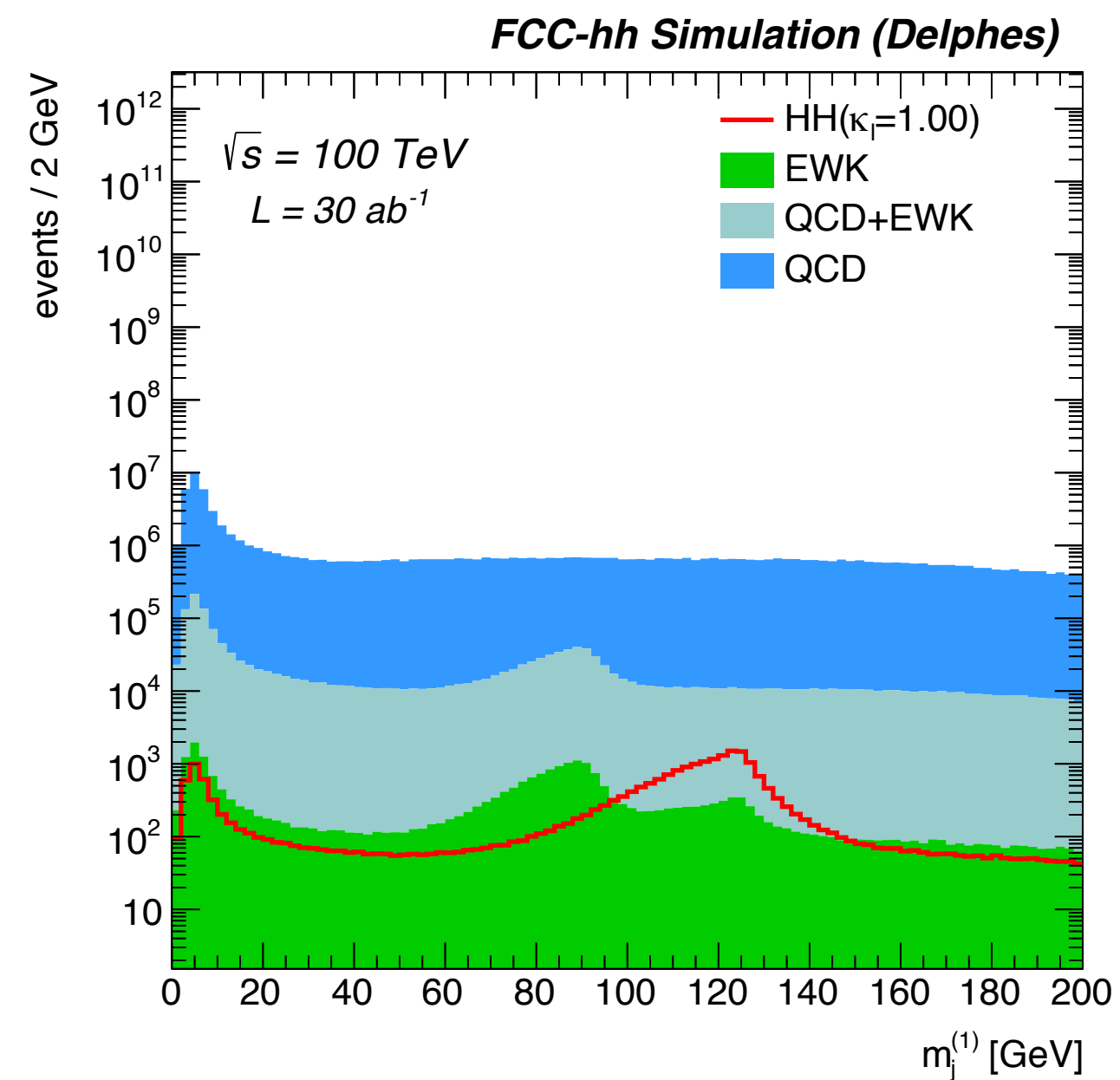
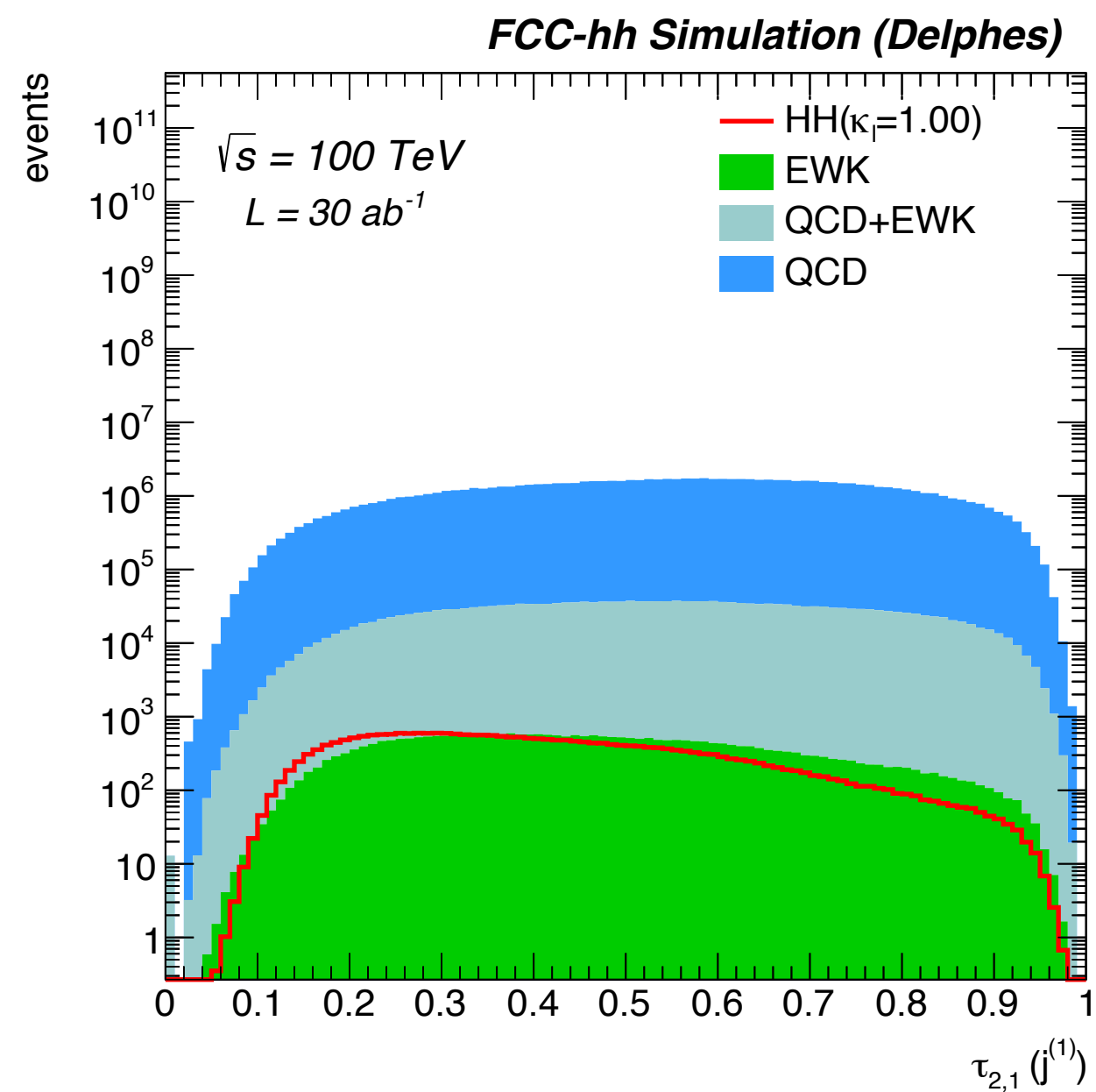
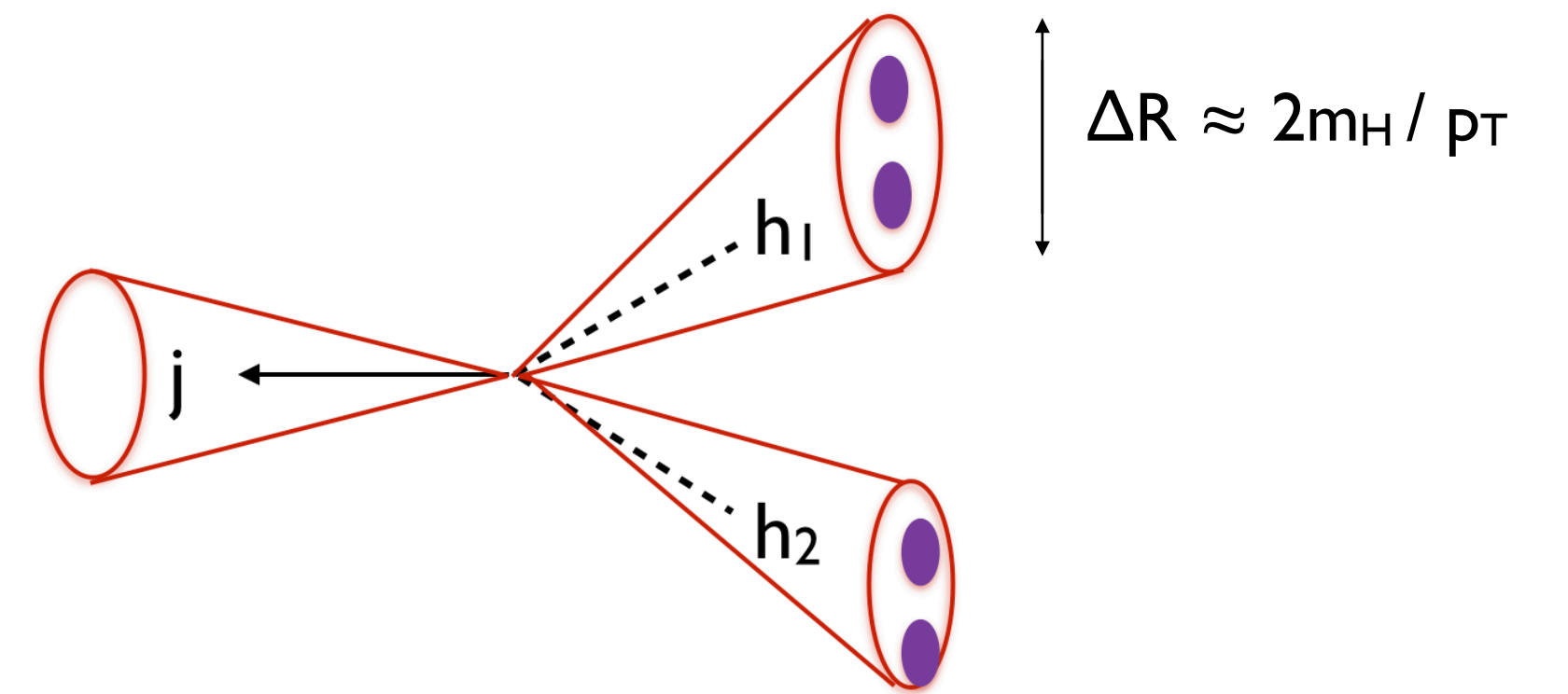
HH \rightarrow bb $\gamma\gamma$

- Large QCD backgrounds (jj $\gamma\gamma$ and γ +jets)
- Main difference w.r.t LHC is the very large ttH background
- Strategy:
 - exploit correlation of means in ($m_{\gamma\gamma}$, m_{hh}) in signal
 - build a parametric model in 2D
 - perform a 2D Likelihood fit on the coupling modifier k_λ
 - $\delta k_\lambda / k_\lambda = 5-7\%$ (stat - stat+syst.) in this channel alone



HH \rightarrow 4b+j boosted

- Large rates allow to look for **boosted HH** recoiling against a jet (**low m_{HH}** drives the sensitivity)
- relies on identification **two boosted Higgs-jets**
- **fit the di-jet mass spectrum** dominated by the large QCD background
- **$\delta k_\lambda / k_\lambda = 20-40\%$** depending on assumed background rate



HH → bb4l

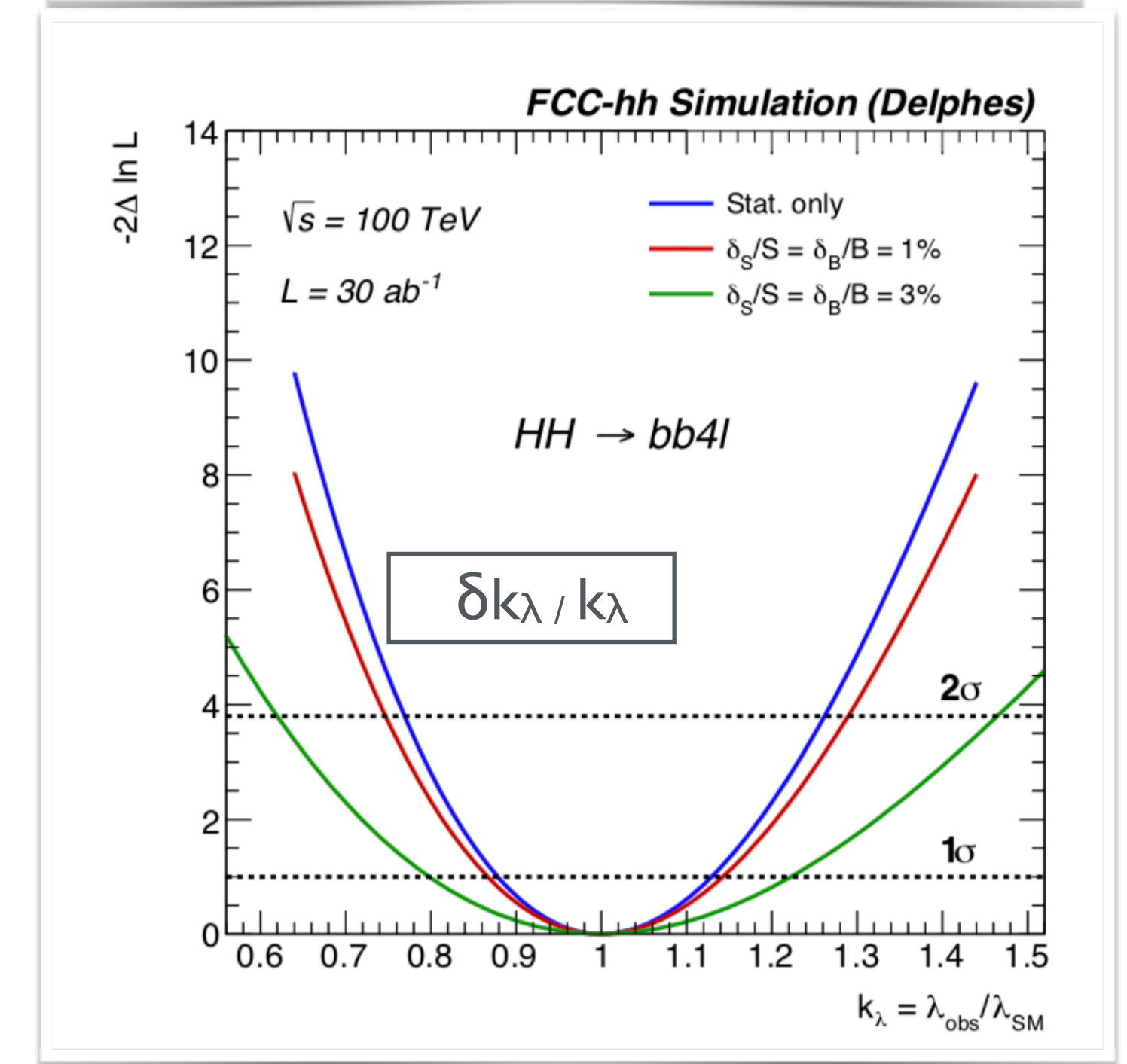
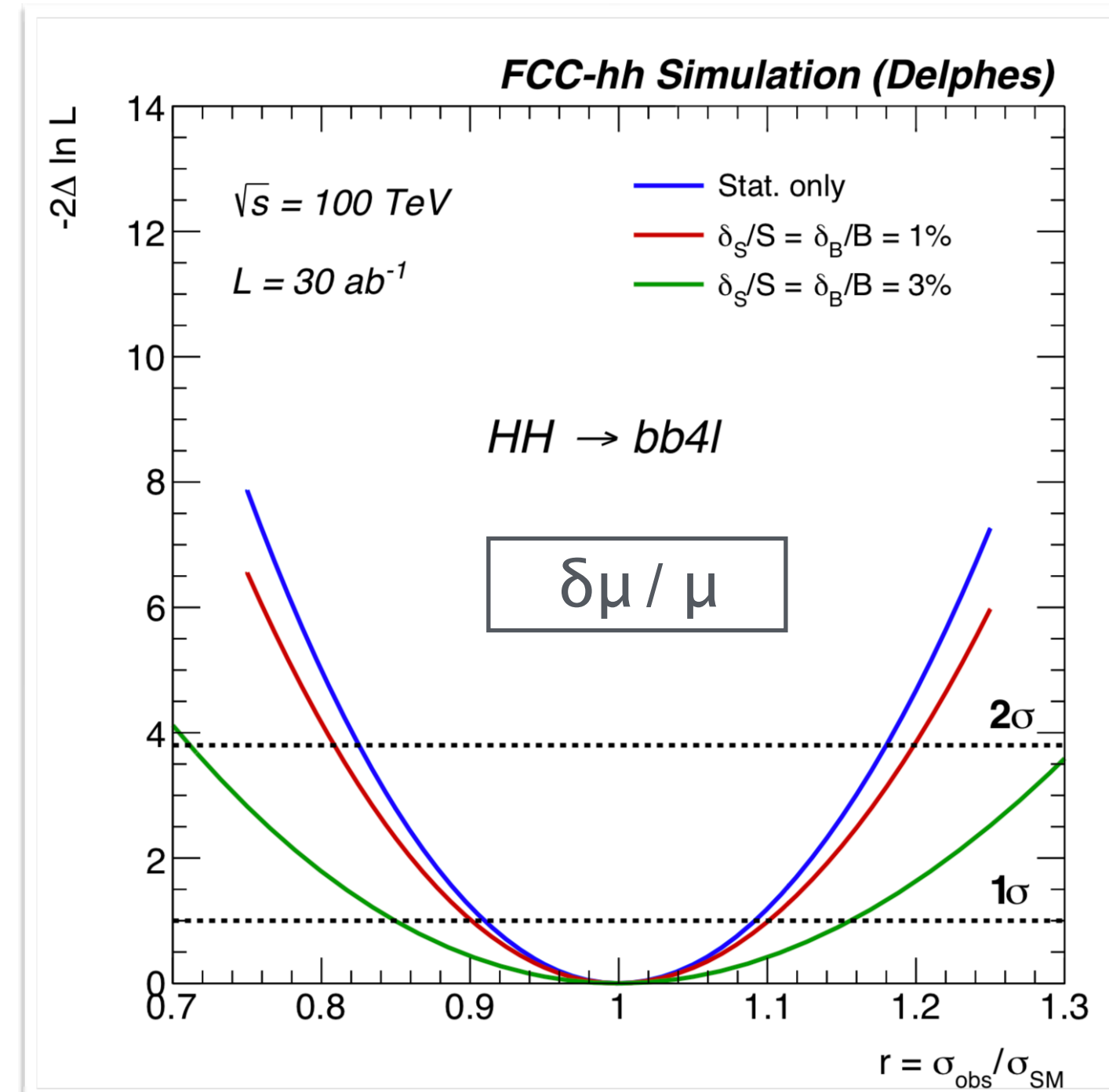
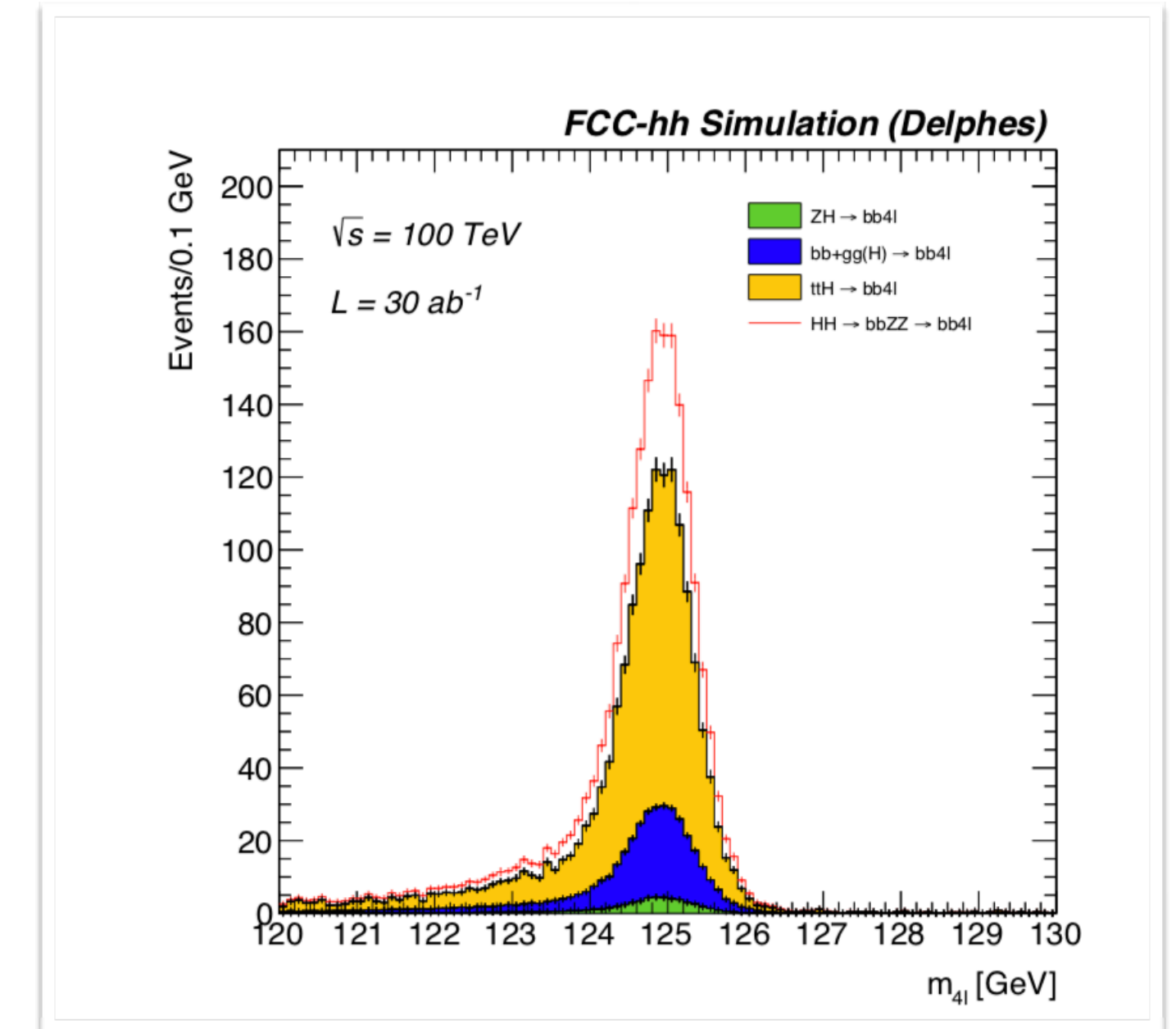
- New channel opening at FCC-hh !!
- clean channel with mostly reducible backgrounds (single Higgs)
- Simple cut and count analysis on (4e, 4μ and 2e2μ channels)

Backgrounds:

- ttH , H → 4 leptons
- 4l + jets (ZZ*, Z*Z*, ZZ) continuum
- p p → H b b → 4l bb

$$\delta k_\lambda / k_\lambda = 15-20\%$$

depending on systematics assumptions



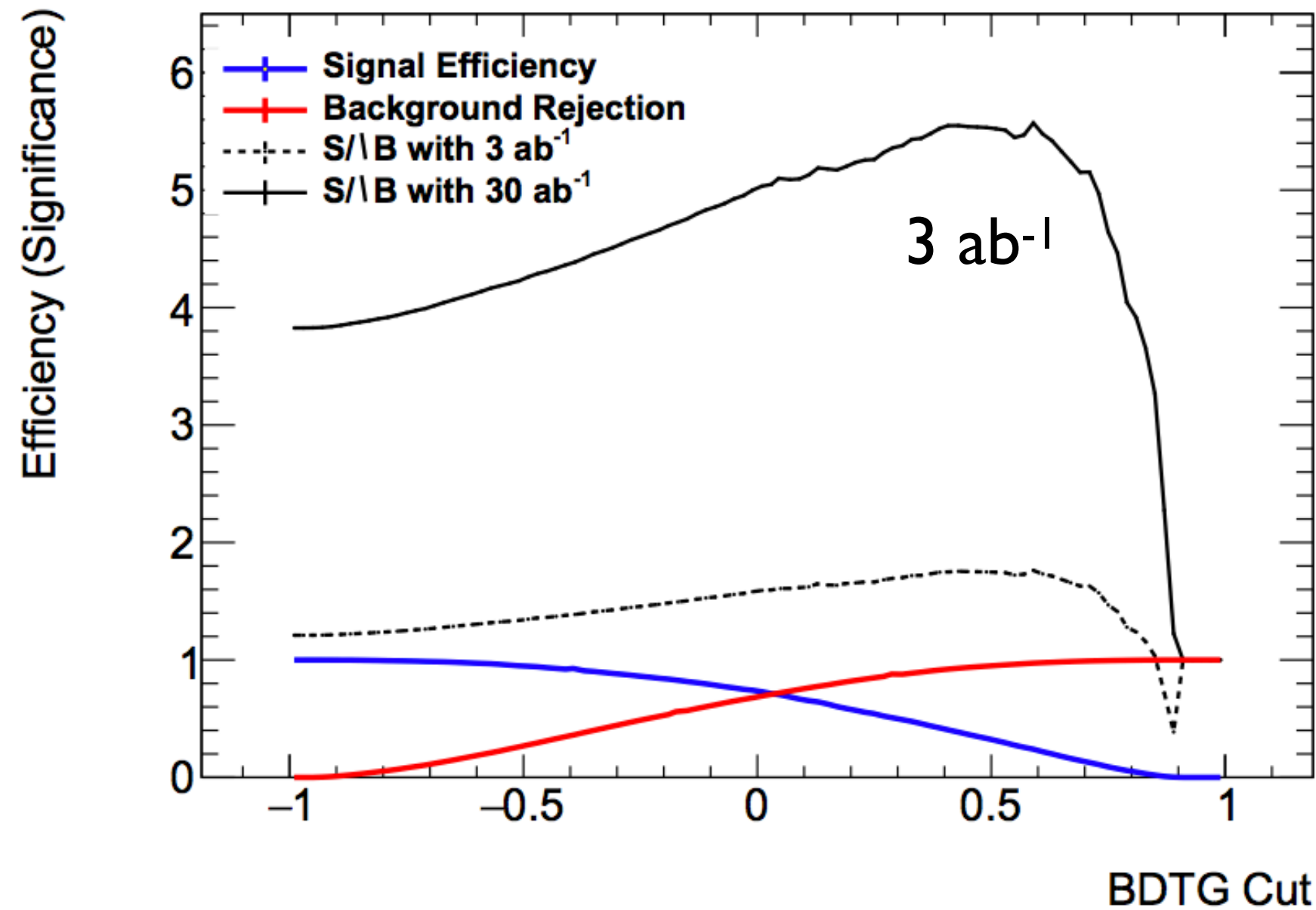
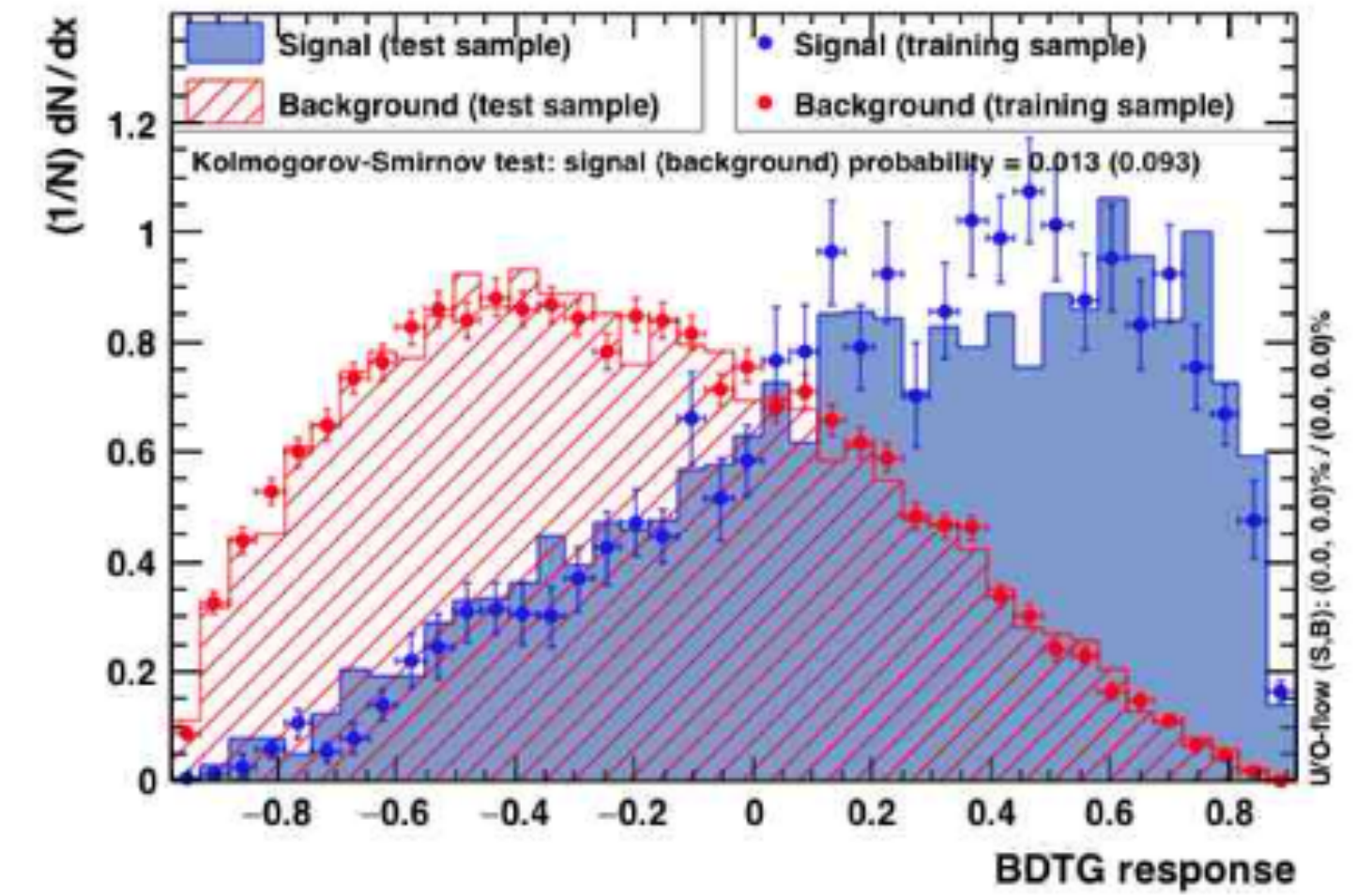
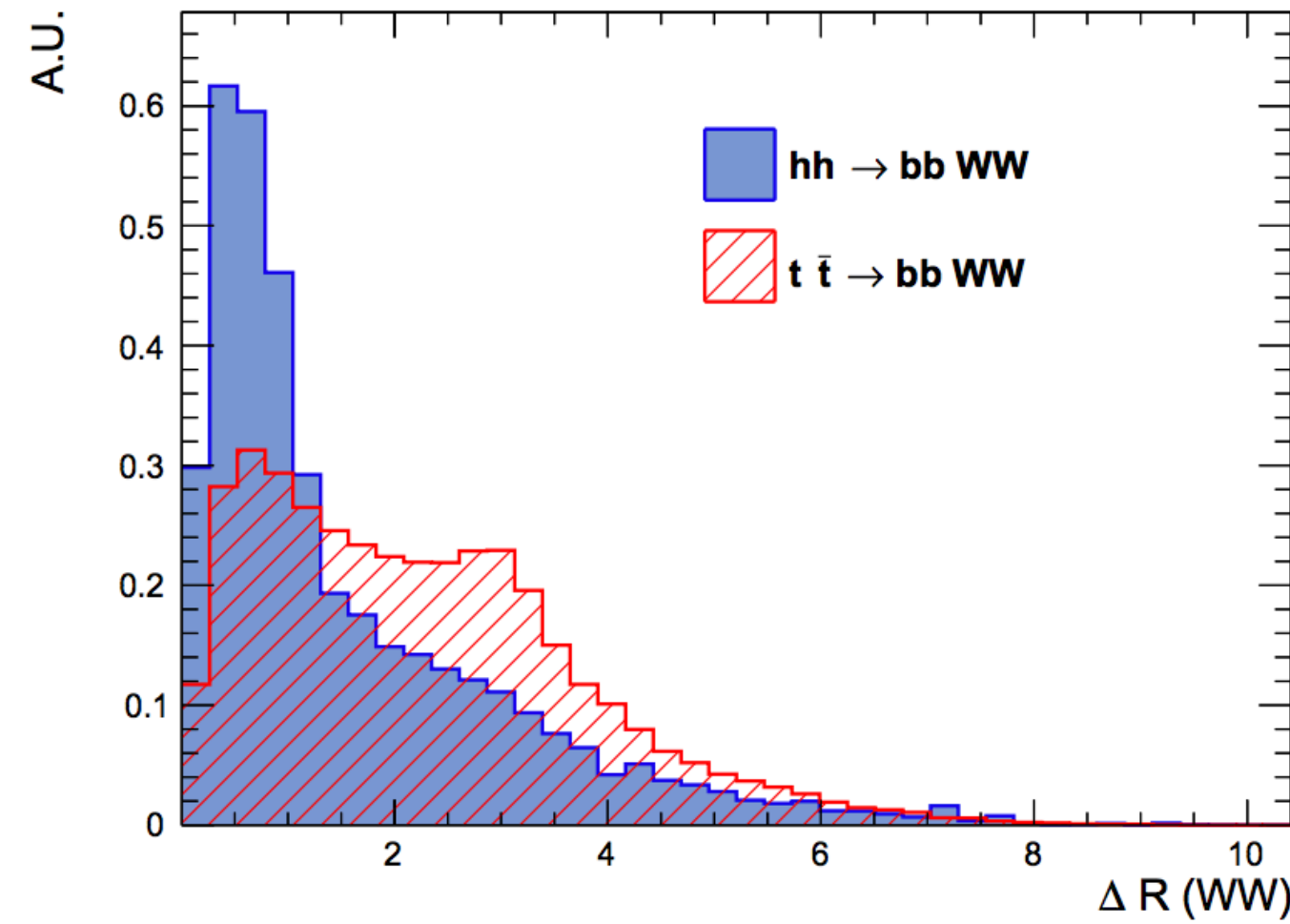
$bbWW \rightarrow bbl\nu qq$

Method:

- $80 < m_{bb} < 150$ GeV
- $p_T(WW) > 150$ GeV
- BDT

Backgrounds:

- $t\bar{t} \rightarrow bbWW$
- V+jets



$$\delta r(\text{stat}) \approx 20\%$$



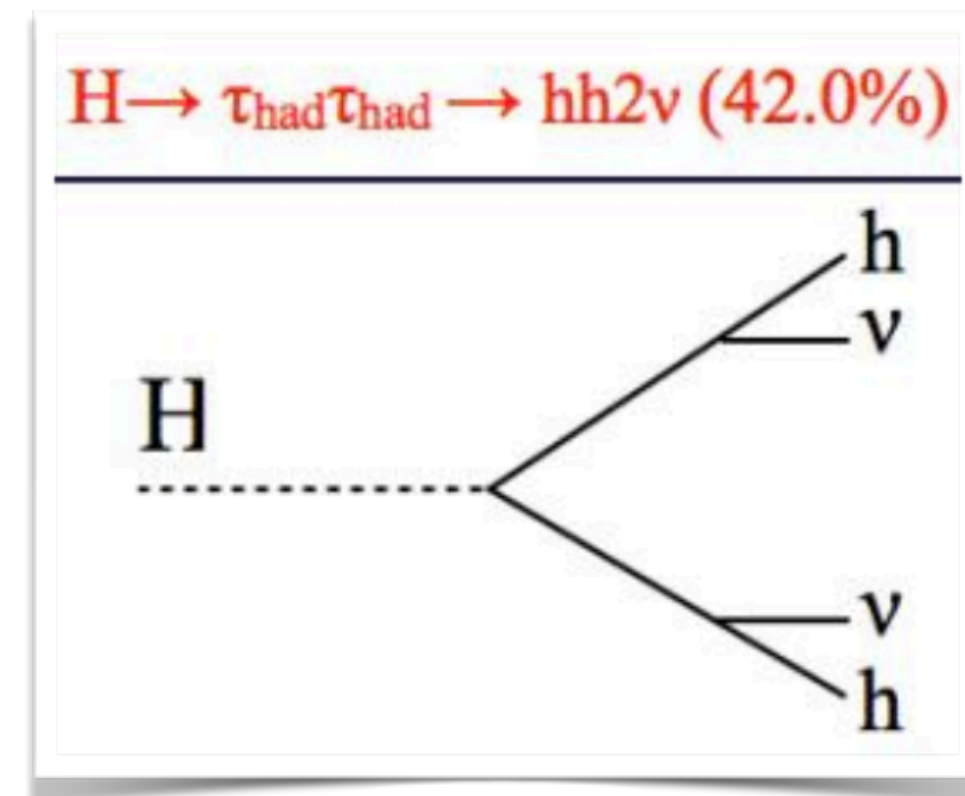
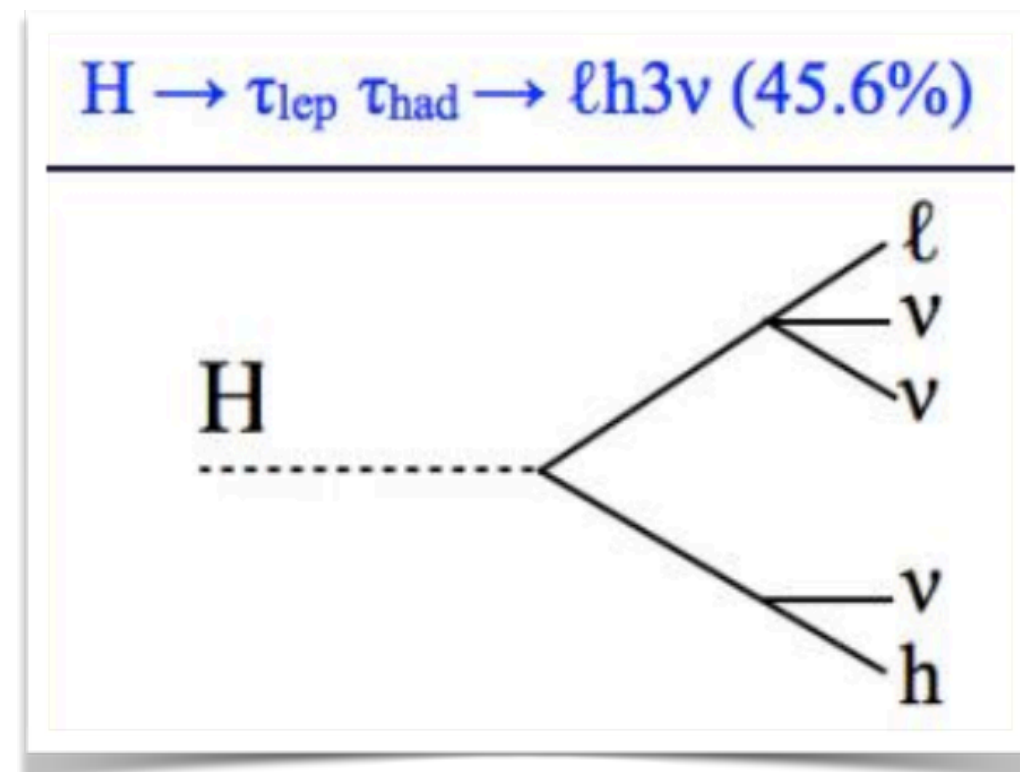
$$\delta \kappa_\lambda(\text{stat}) \approx 40\%$$



bbττ

PRELIMINARY !!!

The $bb\tau\tau$ channel



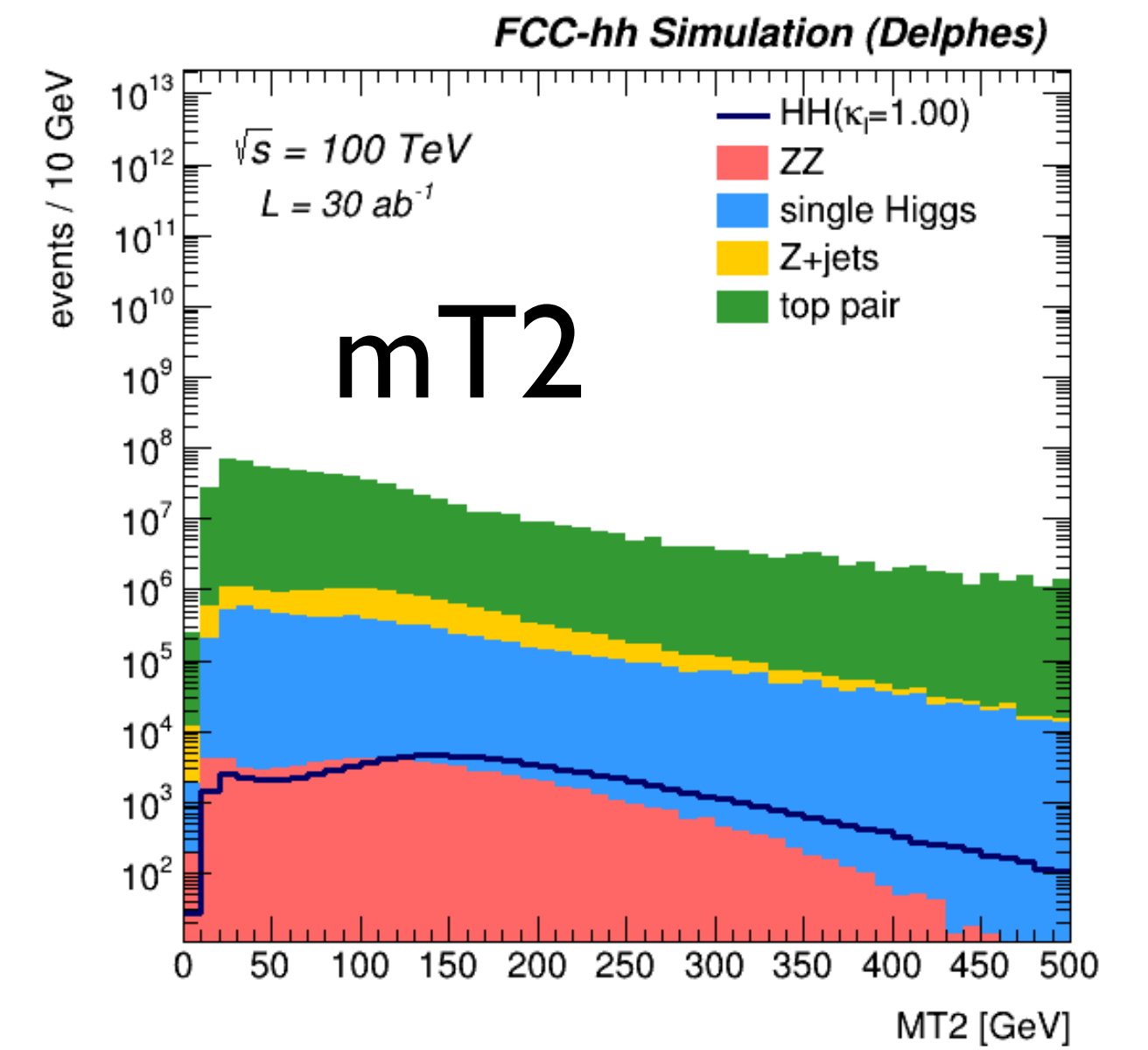
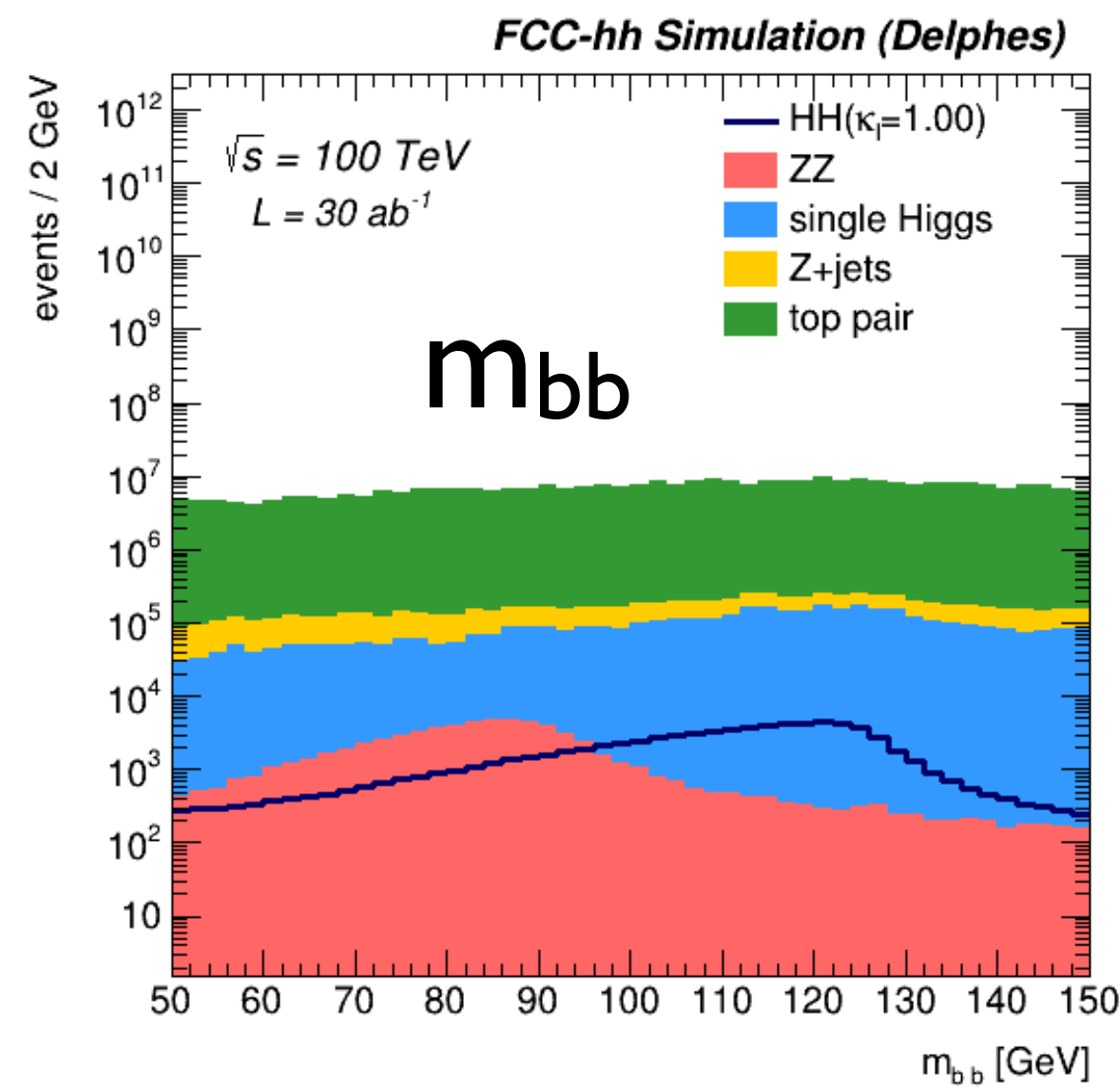
Detector assumptions:

- No Pile-up
- Nominal FCC-hh detector resolutions:
 - **b-tagging** : $\epsilon_b = 85\%$, $\epsilon_{j \rightarrow b} = 1\%$ (\sim HL-LHC)
 - **τ -tagging** : $\epsilon_\tau = 80\%$, $\epsilon_{j \rightarrow \tau} = 1\%$. (\sim HL-LHC)

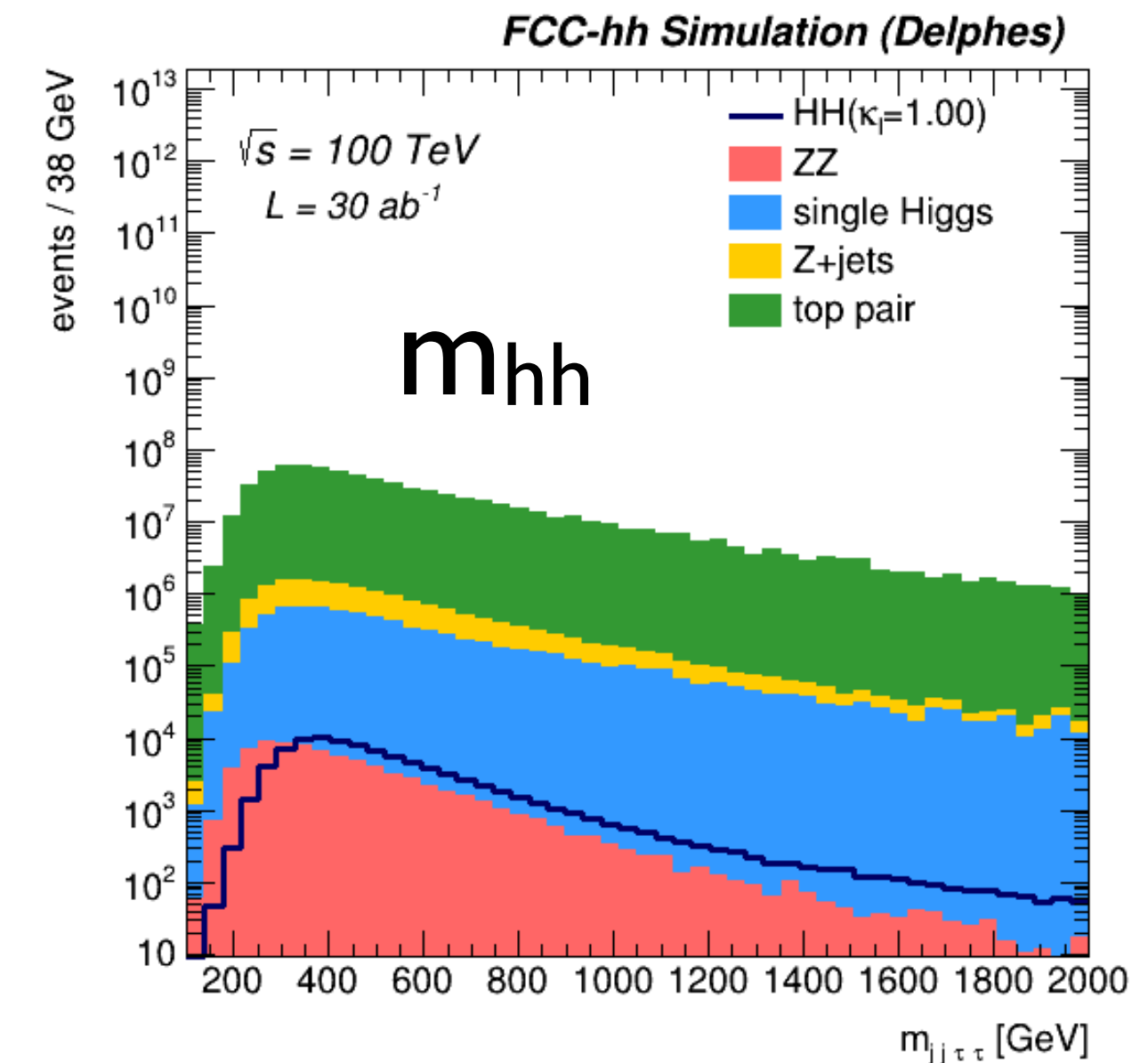
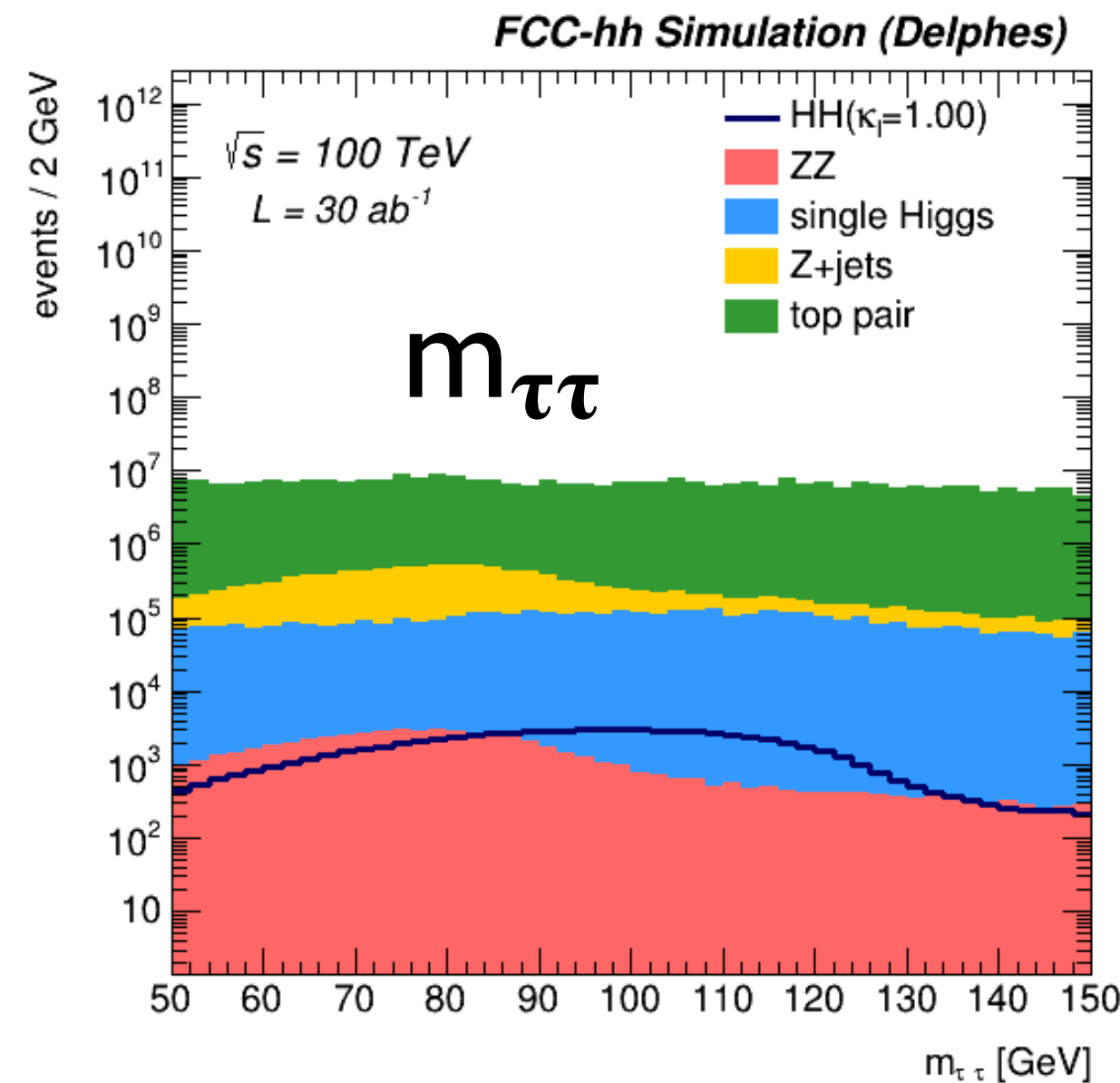
- Exploit large branching ratio
 $2 * BR(H \rightarrow bb) * BR(H \rightarrow \tau\tau) \approx 7.3\%$
- Final states: both $\tau_{lep} \tau_{had}$ and $\tau_{had} \tau_{had}$ considered:
- Backgrounds:
 - **Top pair**
 - **single Higgs (VH, ttH, ggH)**
 - $Z + bb \rightarrow \tau\tau + bb$
 - $\tau_{lep} \tau_{had}$ has larger B contamination
 - $ttbar$ with $\tau_{had} + e/\mu$ (in addition to $\tau_{lep} \tau_{had}$)

Preselection $\tau_{\text{had}}\tau_{\text{had}}$

- Simple preselection:
 - At least two τ -tagged jets with:
 - $p_{\text{T}}(\tau_{\text{had}}) > 45 \text{ GeV}$, $|\eta(\tau_{\text{had}})| < 3.0$
 - At least two b-tagged jets with:
 - $p_{\text{T}}(\text{b}) > 30 \text{ GeV}$, $|\eta(\text{b})| < 3.0$
 - Lepton-veto ($p_{\text{T}}(\text{l}) > 25 \text{ GeV}$, $|\eta(\text{l})| < 3.0$)



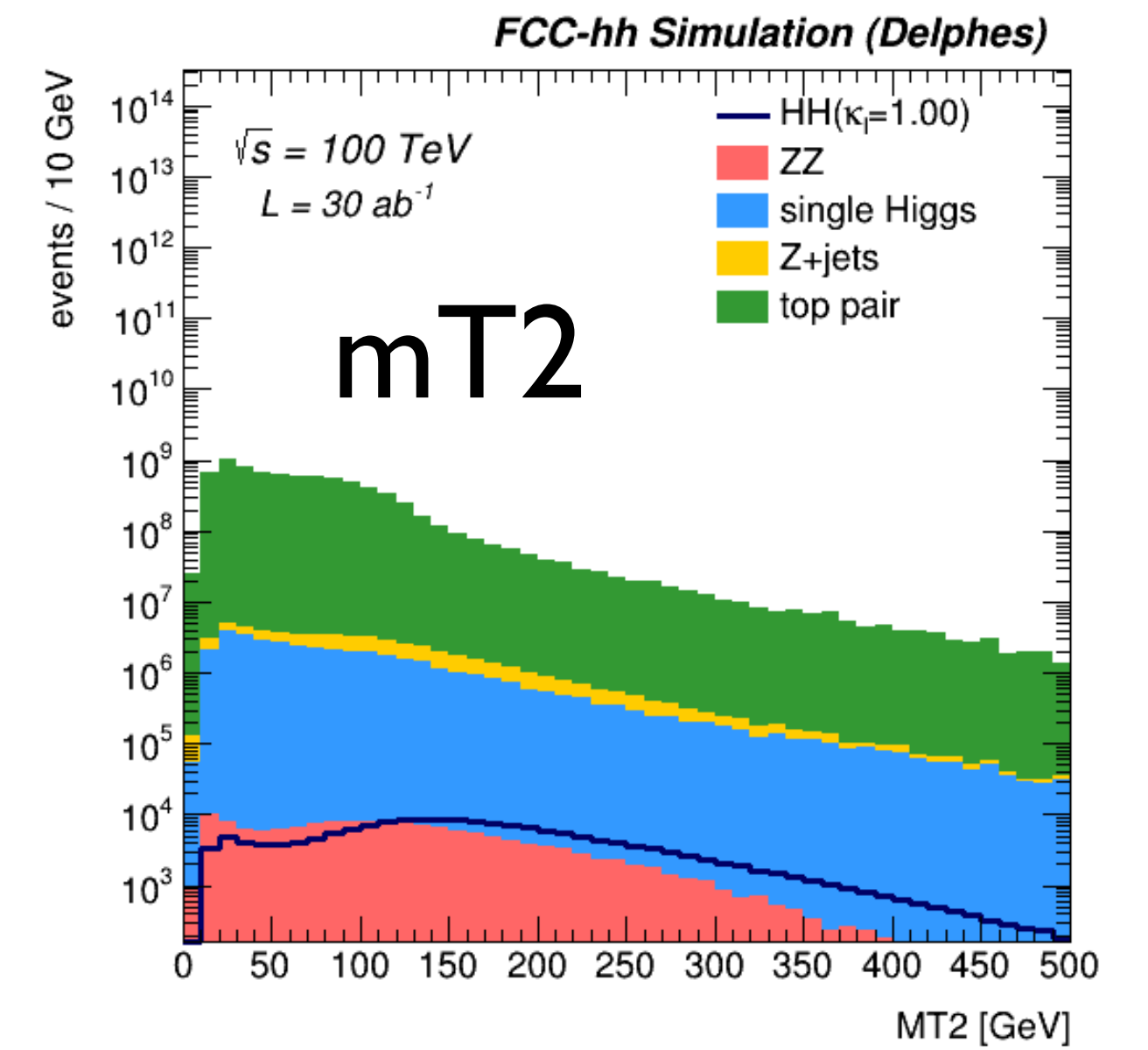
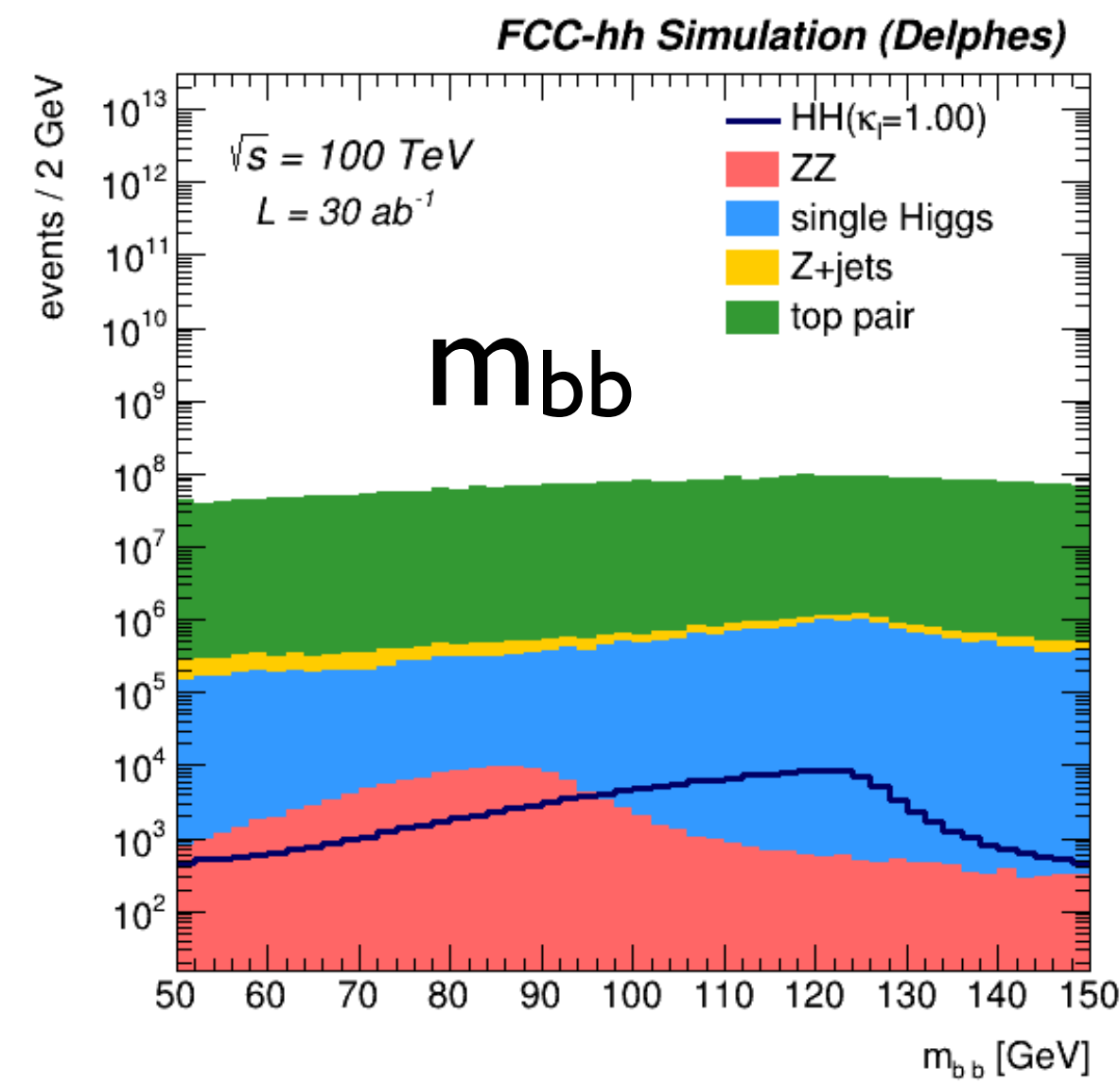
DISCRIMINATING VARIABLES



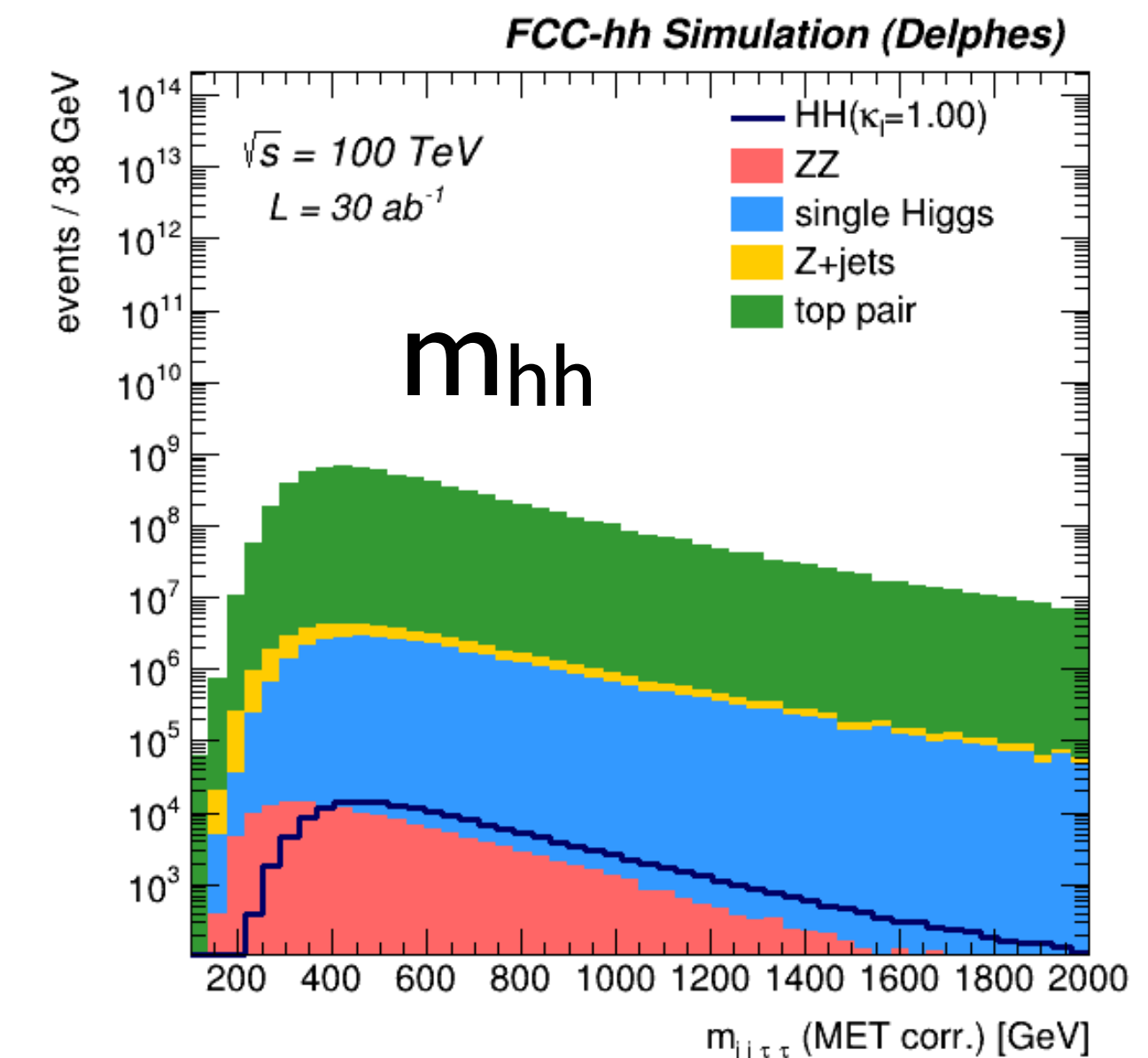
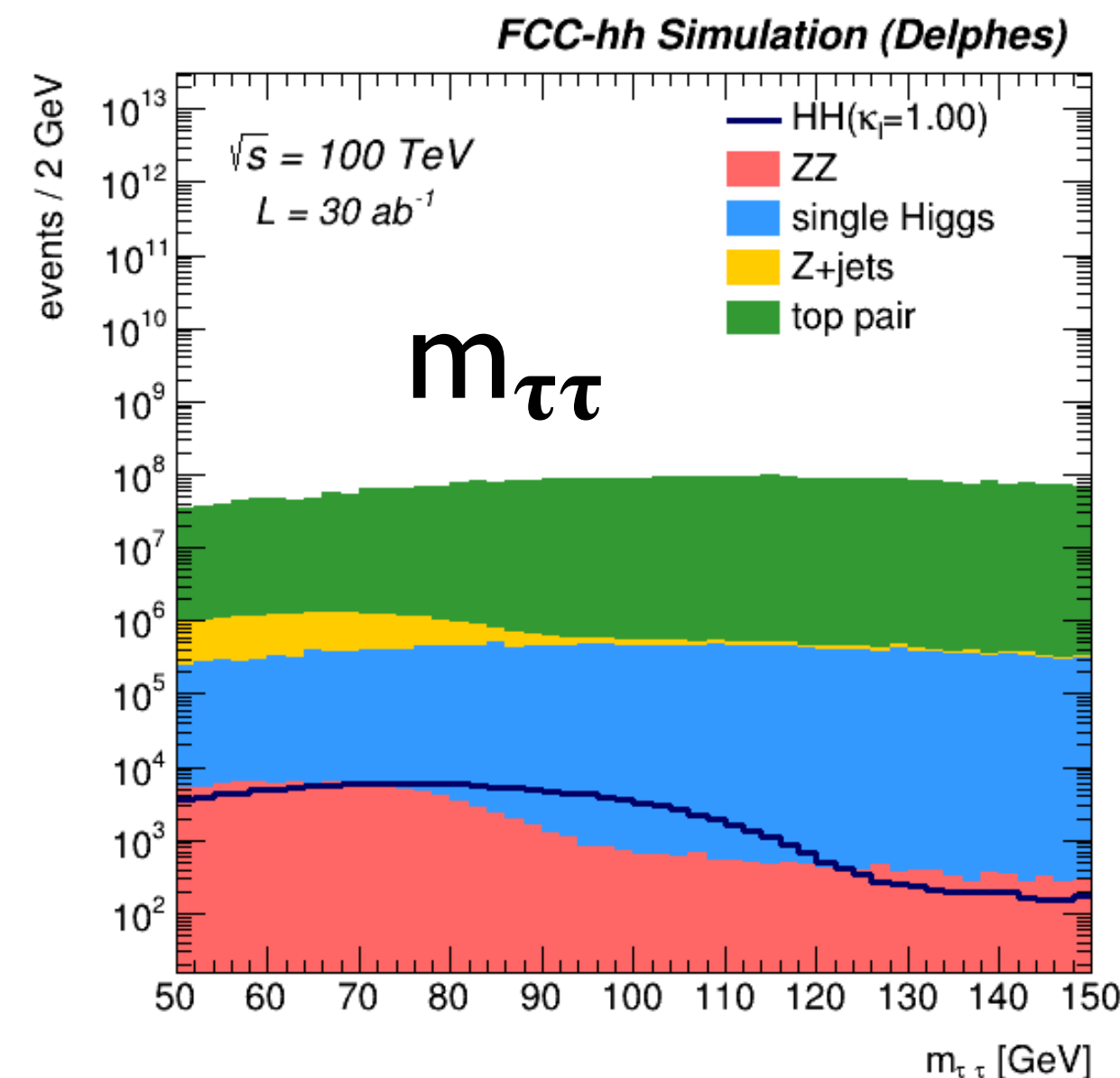
Preselection $\tau_{\text{had}}\tau_{\text{lep}}$

- Simple preselection:
 - One hadronic τ -tagged jet with:
 - $p_{\text{T}}(\tau_{\text{had}}) > 45 \text{ GeV}$, $|\eta(\tau_{\text{had}})| < 3.0$
 - At least two b-tagged jets with:
 - $p_{\text{T}}(\text{b}) > 30 \text{ GeV}$, $|\eta(\text{b})| < 3.0$
 - Exactly one lepton
 - $(p_{\text{T}}(\text{l}) > 25 \text{ GeV}, |\eta(\text{l})| < 3.0)$

smaller S/B



DISCRIMINATING VARIABLES



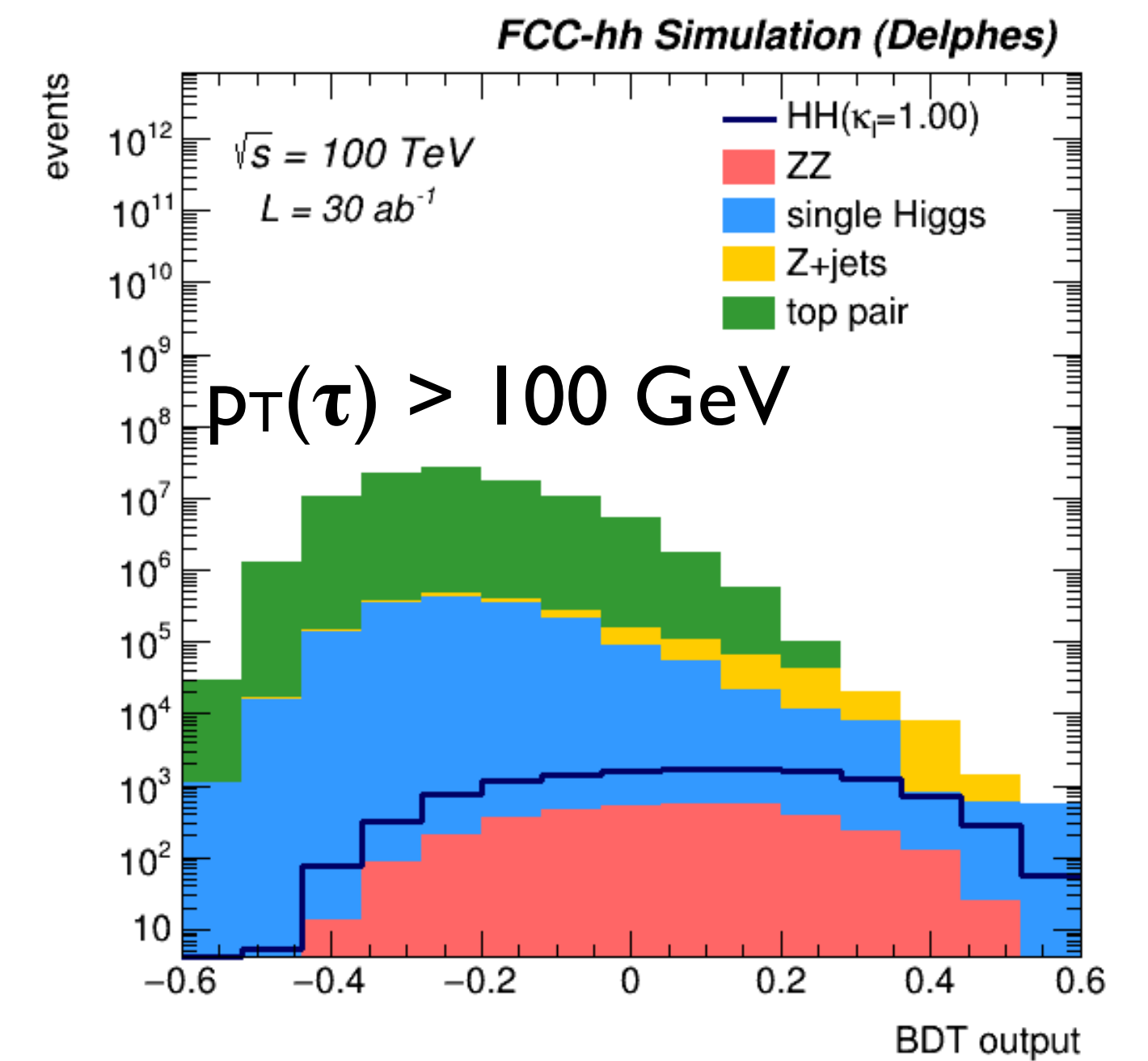
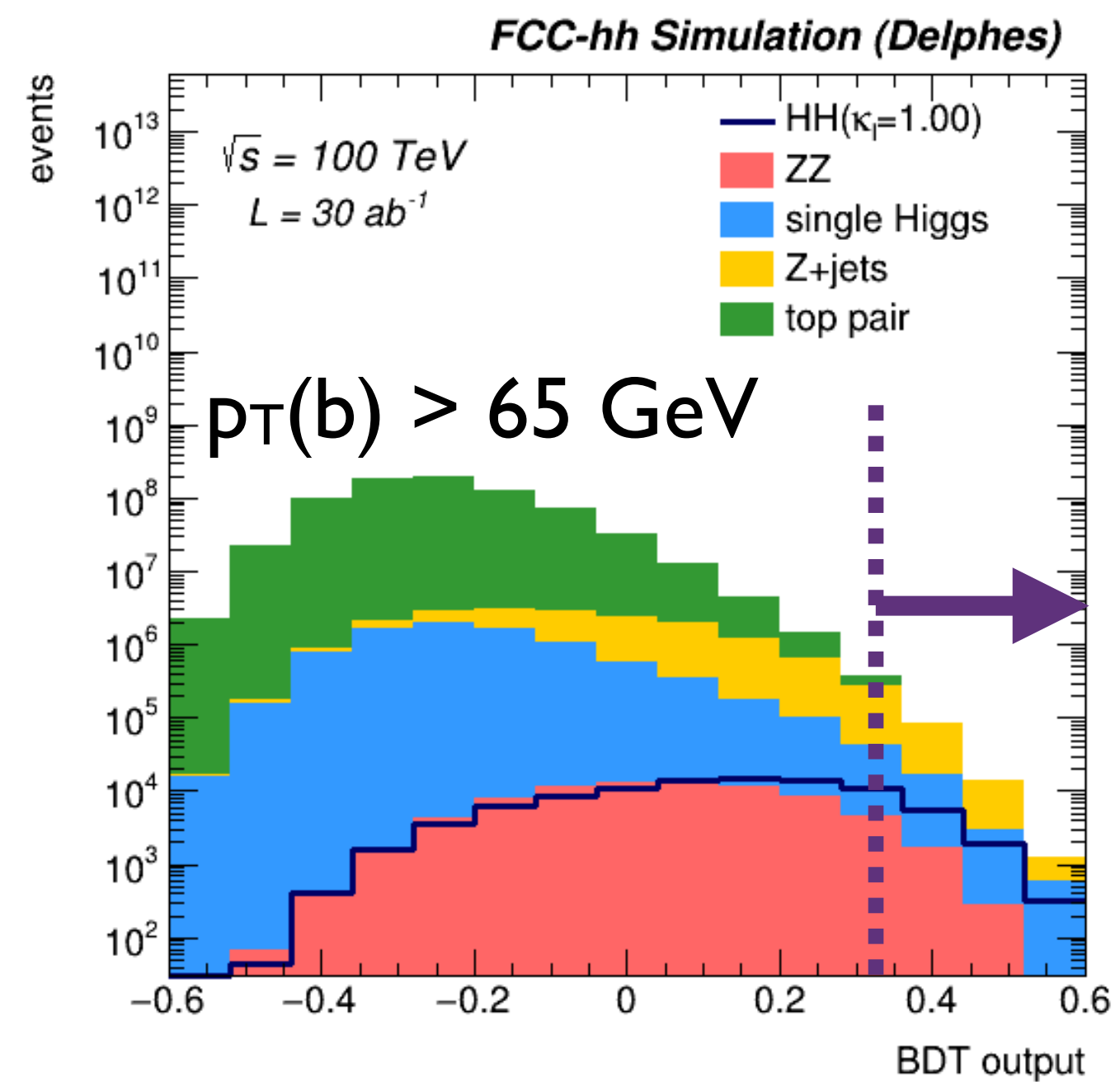
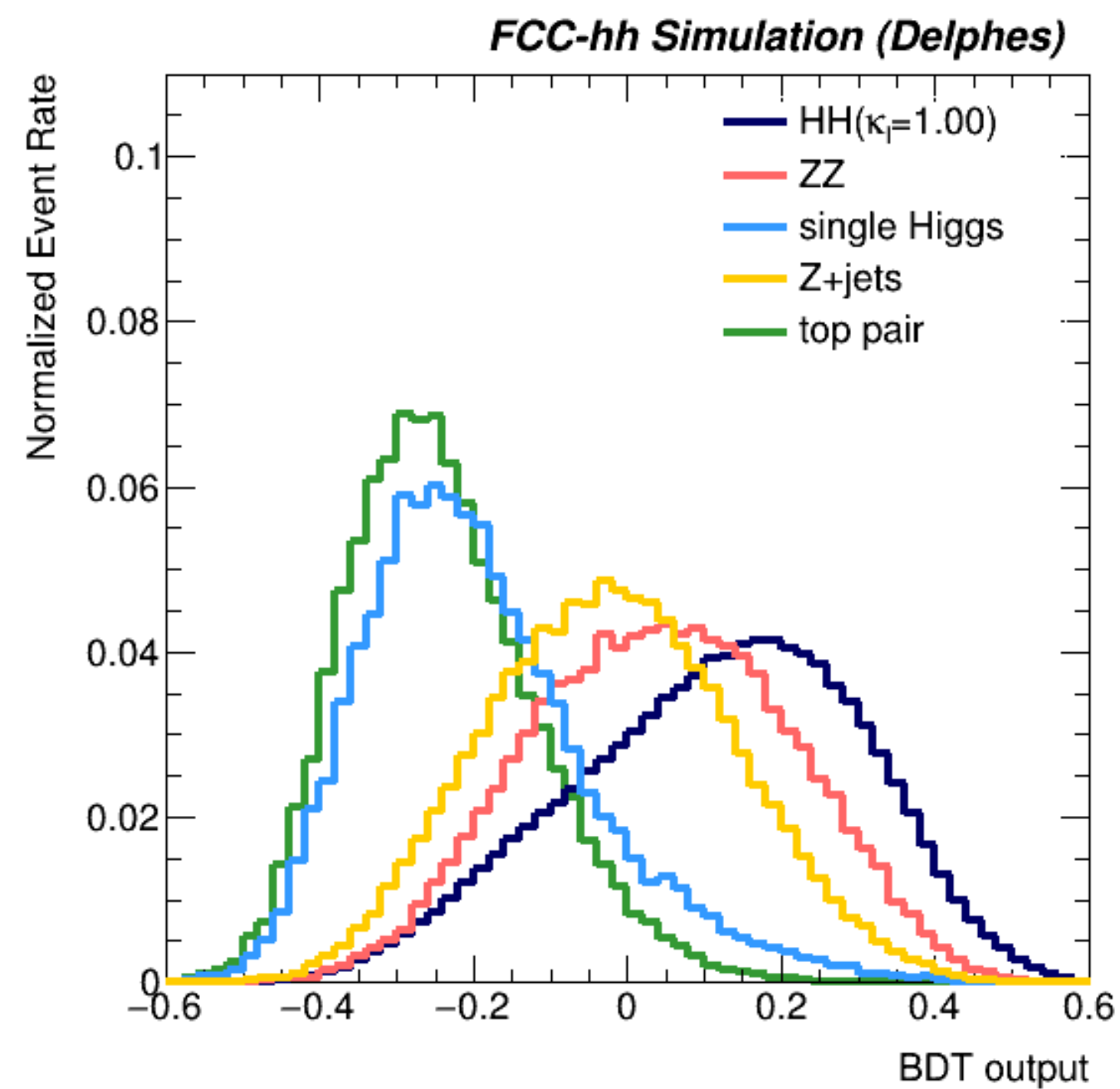
BDT training - $\tau_{\text{had}}\tau_{\text{had}}$

- **BDT** training input:
 - 4-vectors of τ_1, τ_2, b_1, b_2
 - 4-vectors of $H_{\tau\tau}, H_{bb}, HH$
 - E_T^{miss}
 - $MT2, m_T(\tau_1), m_T(\tau_2), H_T$

TRAINED
vs. ttbar

- Final Selection:

- $100 < m_{bb} < 130 \text{ GeV}$
- $80 < m_{\tau\tau} < 130 \text{ GeV}$
- **BDT > 0.34**



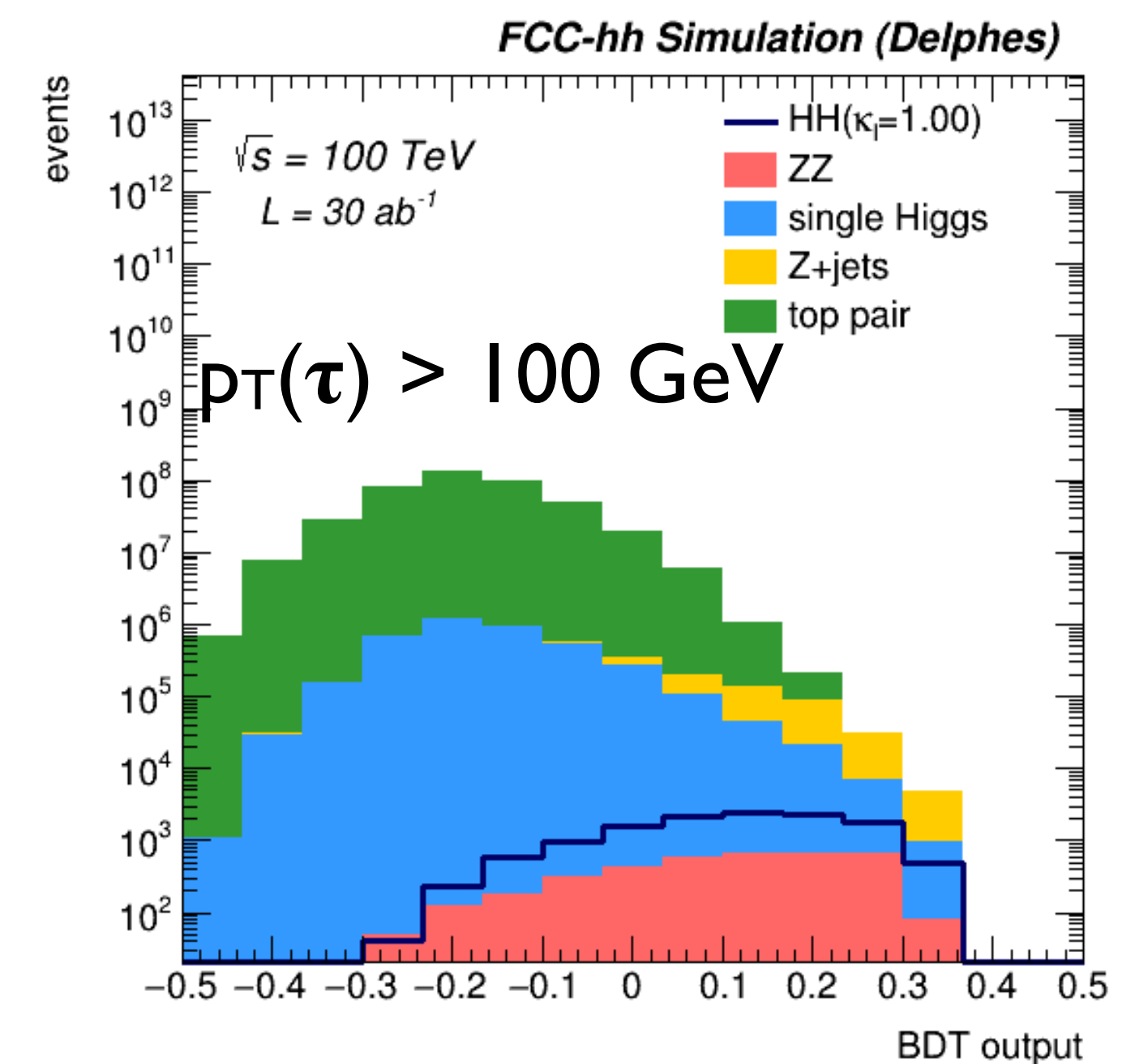
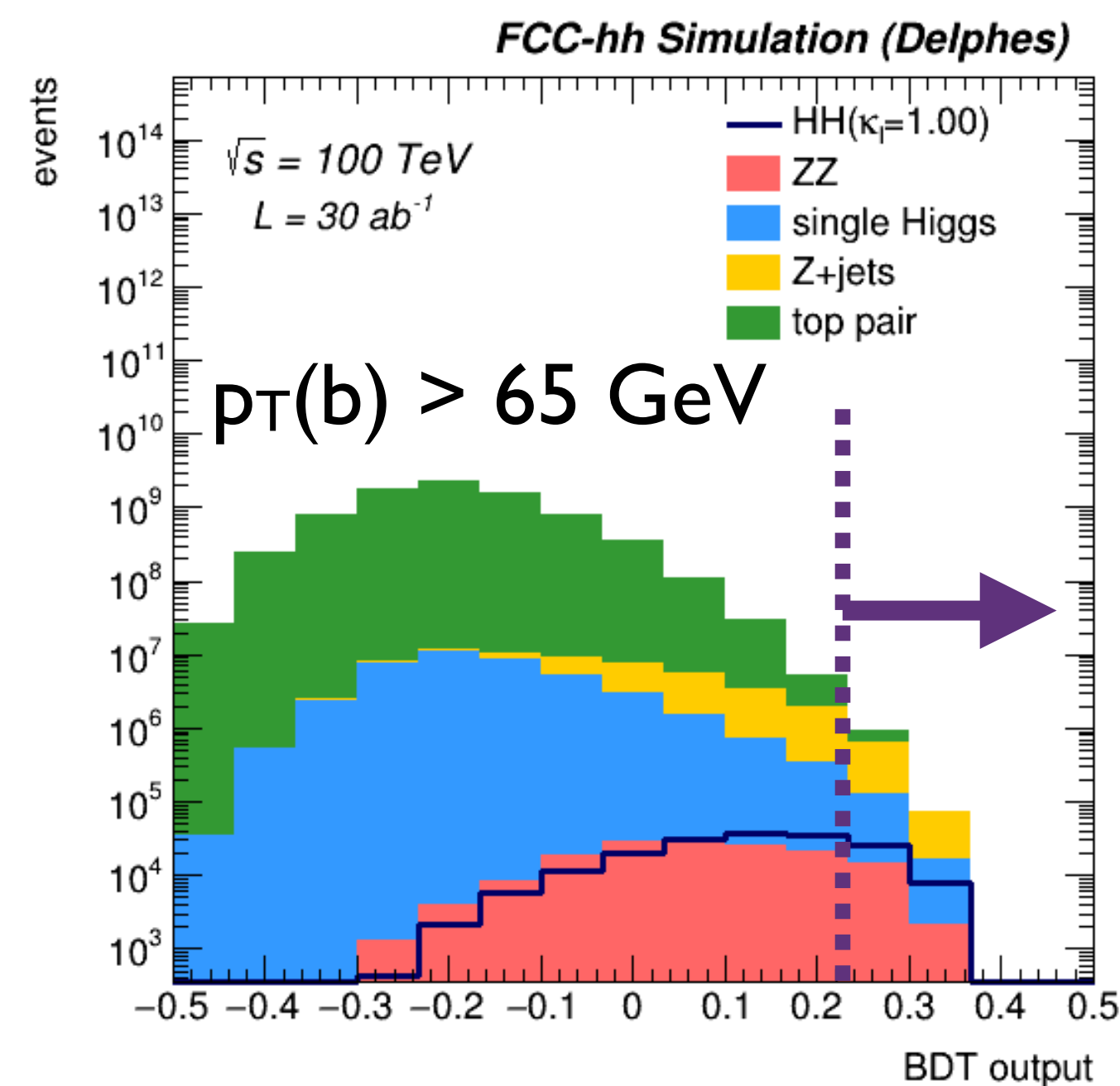
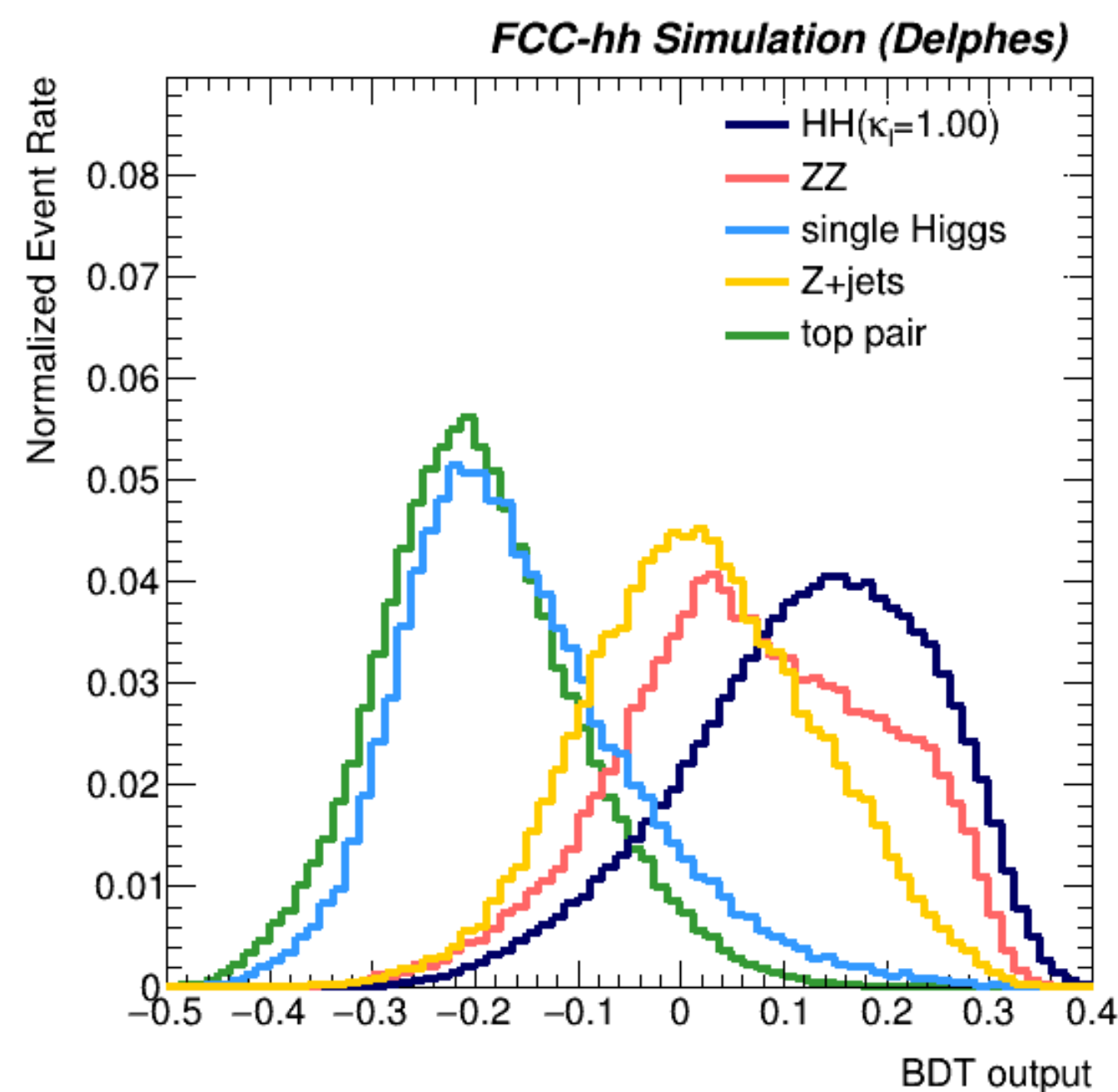
BDT training - $\tau_{\text{had}}\tau_{\text{lep}}$

- **BDT** training input:
 - 4-vectors of τ_1, τ_2, b_1, b_2
 - 4-vectors of $H_{\tau\tau}, H_{bb}, HH$
 - E_T^{miss}
 - $MT2, m_T(\tau_1), m_T(\tau_2), H_T$

TRAINED
vs. Top pair

- Final Selection:

- $100 < m_{bb} < 130 \text{ GeV}$
- $80 < m_{\tau\tau} \text{ (MET corr.)} < 130 \text{ GeV}$
- **BDT > 0.26**

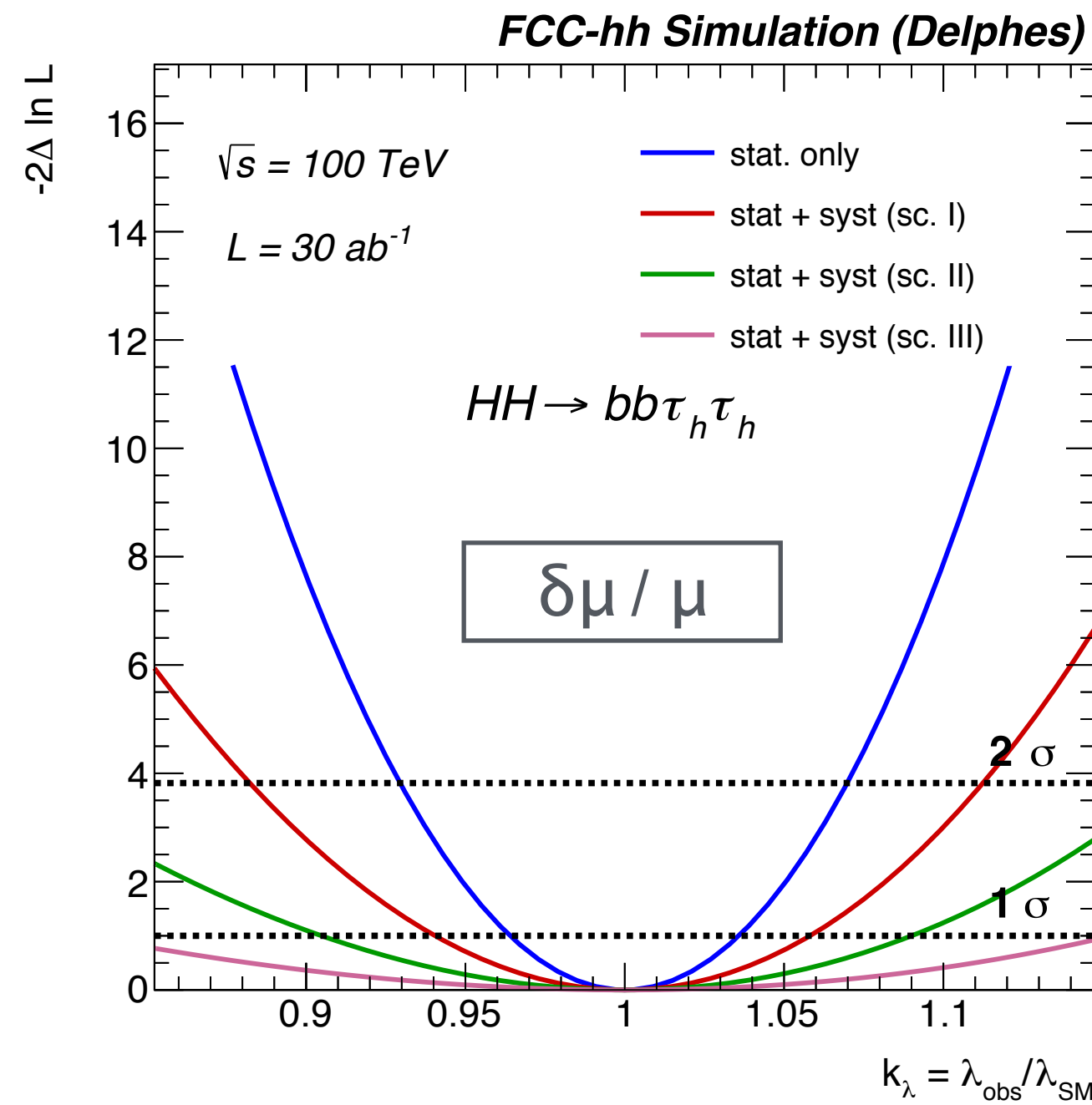


Systematics assumptions

	Very aggressive (I)	Aggressive (II)	Conservative (III)
Tau ID	1 %	2,5 %	5 %
b-jet ID	0,25 %	0,5 %	1 %
ele ID	0,25 %	0,5 %	1 %
mu ID	0,1 %	0,25 %	0,5 %
ttbar norm.	1 %	1 %	1 %
single H norm.	1 %	1 %	1 %
Luminosity	1 %	1 %	1 %

Expected sensitivity: $bb\tau_{had}\tau_{had}$

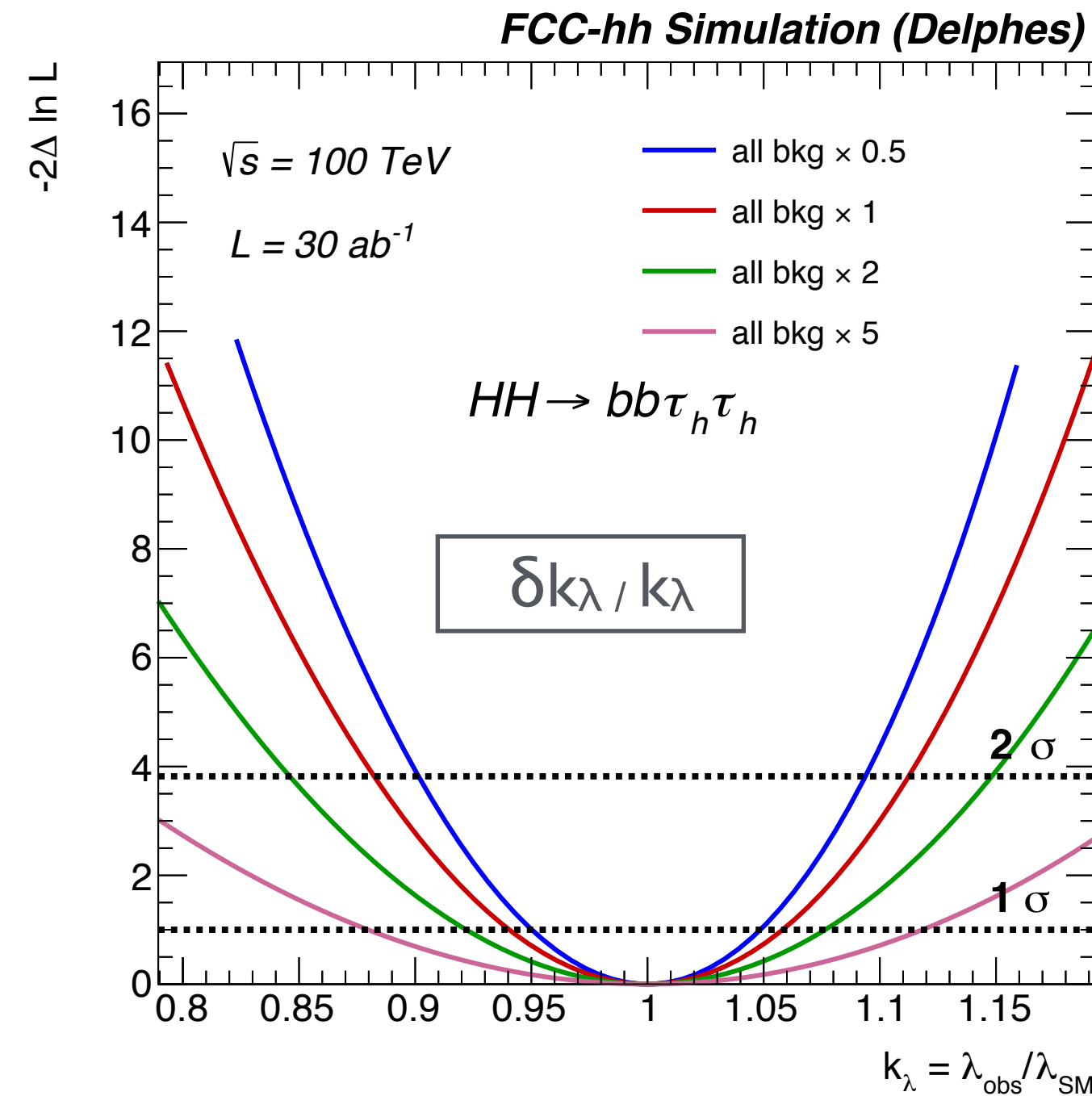
always assuming SC.III



varying uncertainties:

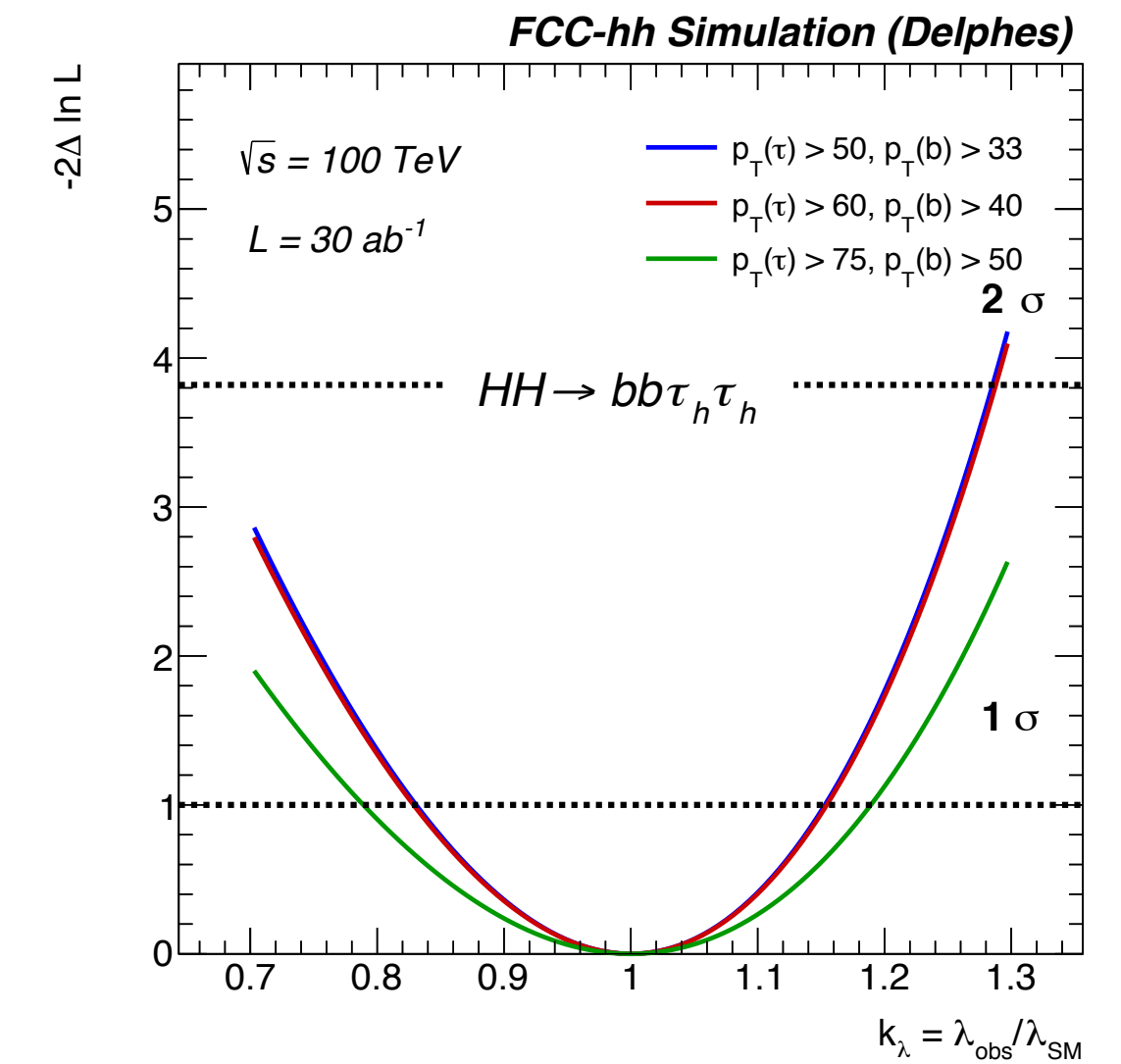
$$\delta k_\lambda(\text{stat}) \approx 3\%$$

$$\delta k_\lambda(\text{stat} + \text{syst}) \approx 5-10\%$$



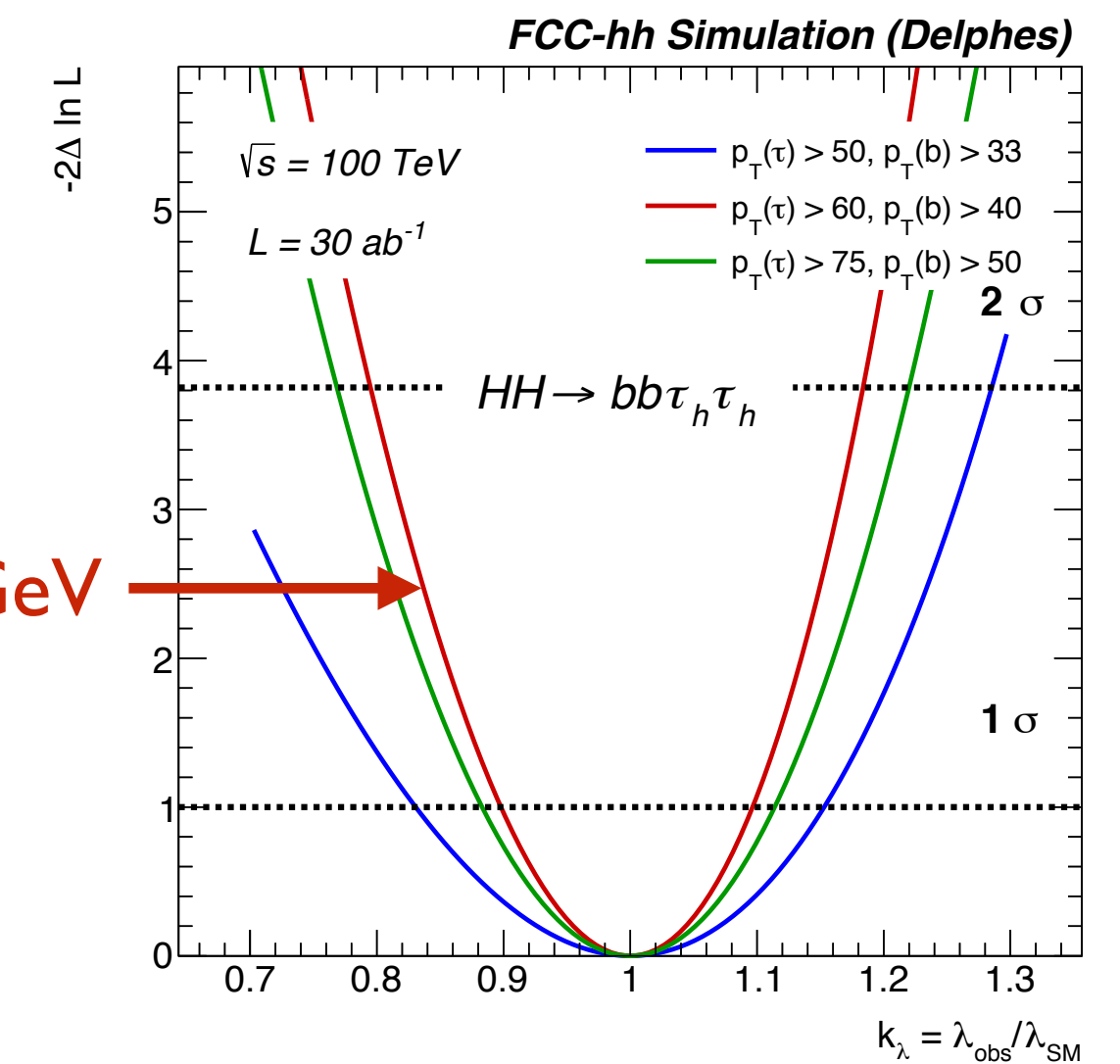
varying (0.5x-5x) background yields:

$$\delta k_\lambda \approx 5-15\%$$



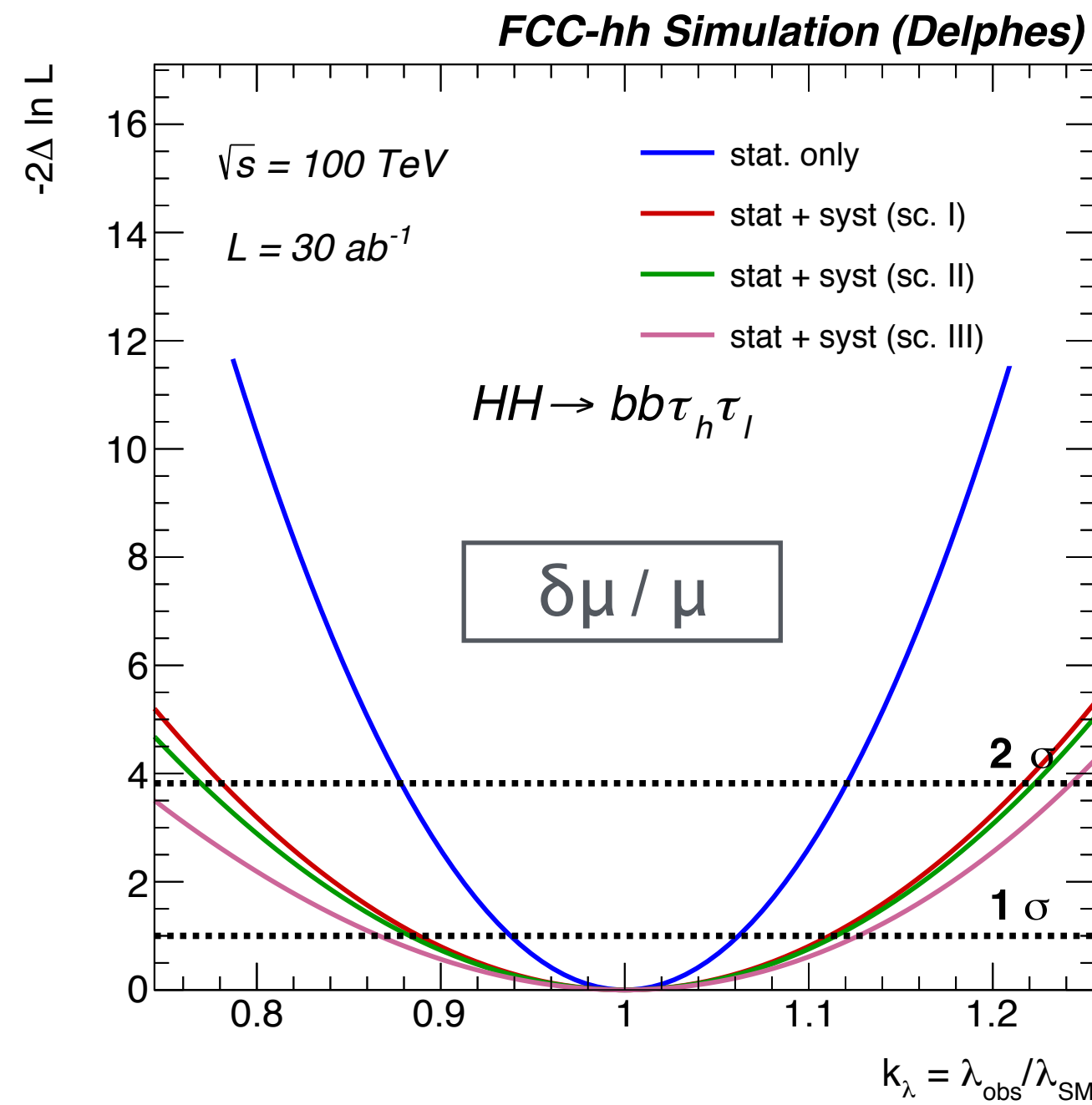
assuming SC.III \rightarrow SC. I

$p_T > 60 \text{ GeV}$



Expected sensitivity: $bb\tau_{had}\tau_{lep}$

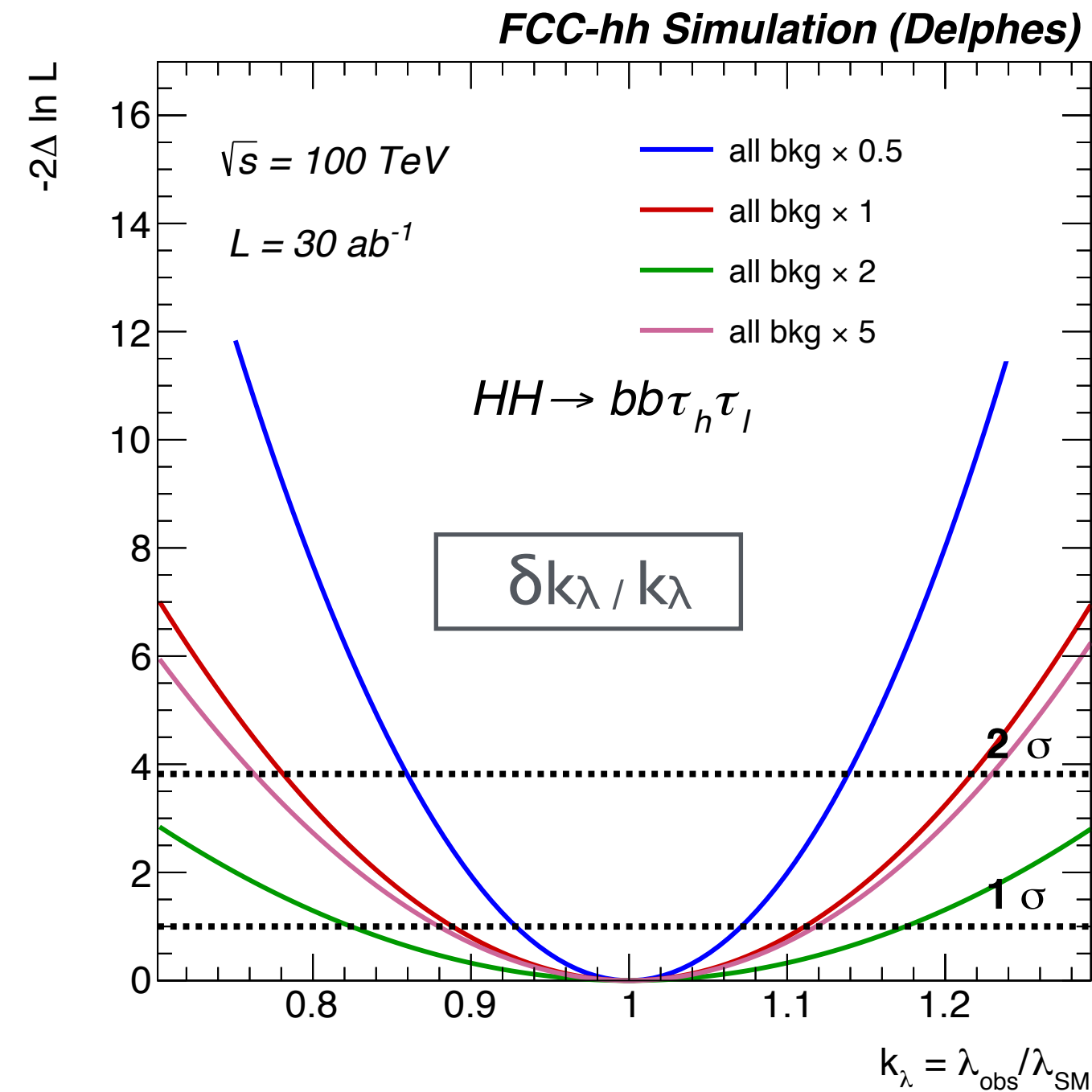
always assuming SC.III



varying uncertainties:

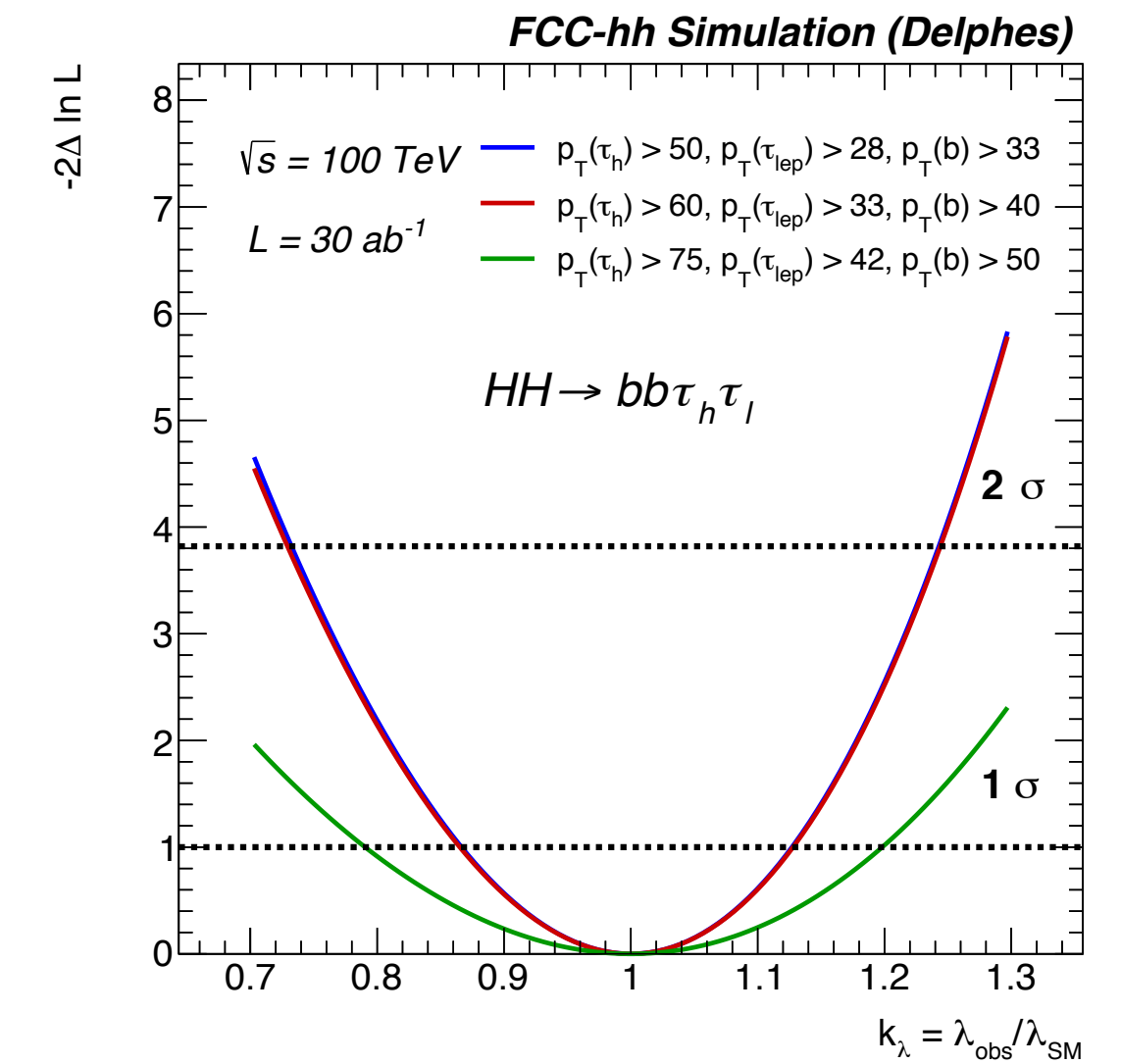
$$\delta k_\lambda(\text{stat}) \approx 6\%$$

$$\delta k_\lambda(\text{stat} + \text{syst}) \approx 10\text{-}12\%$$

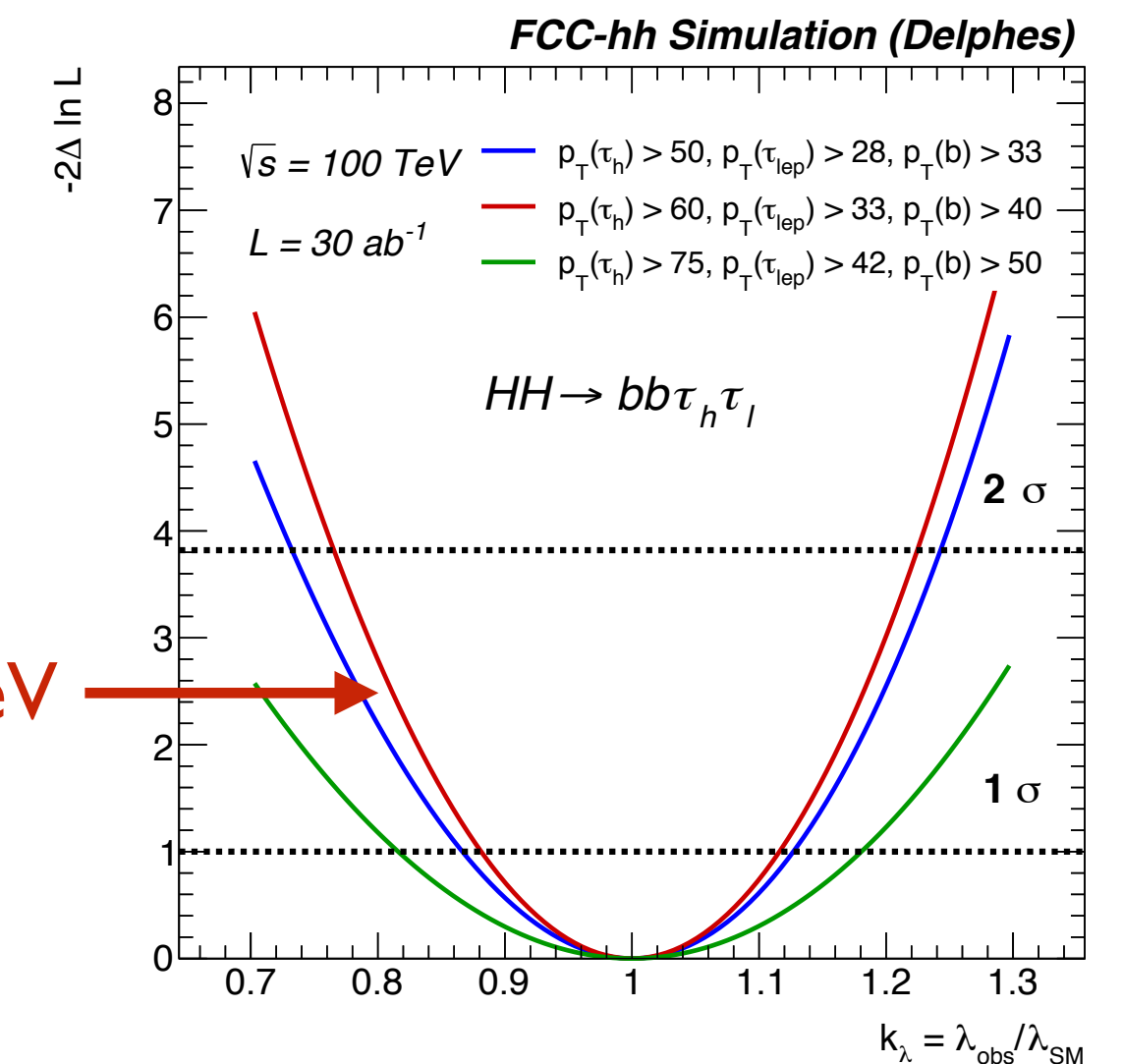


varying (0.5x-5x) background yields:

$$\delta k_\lambda \approx 6\text{-}16\%$$



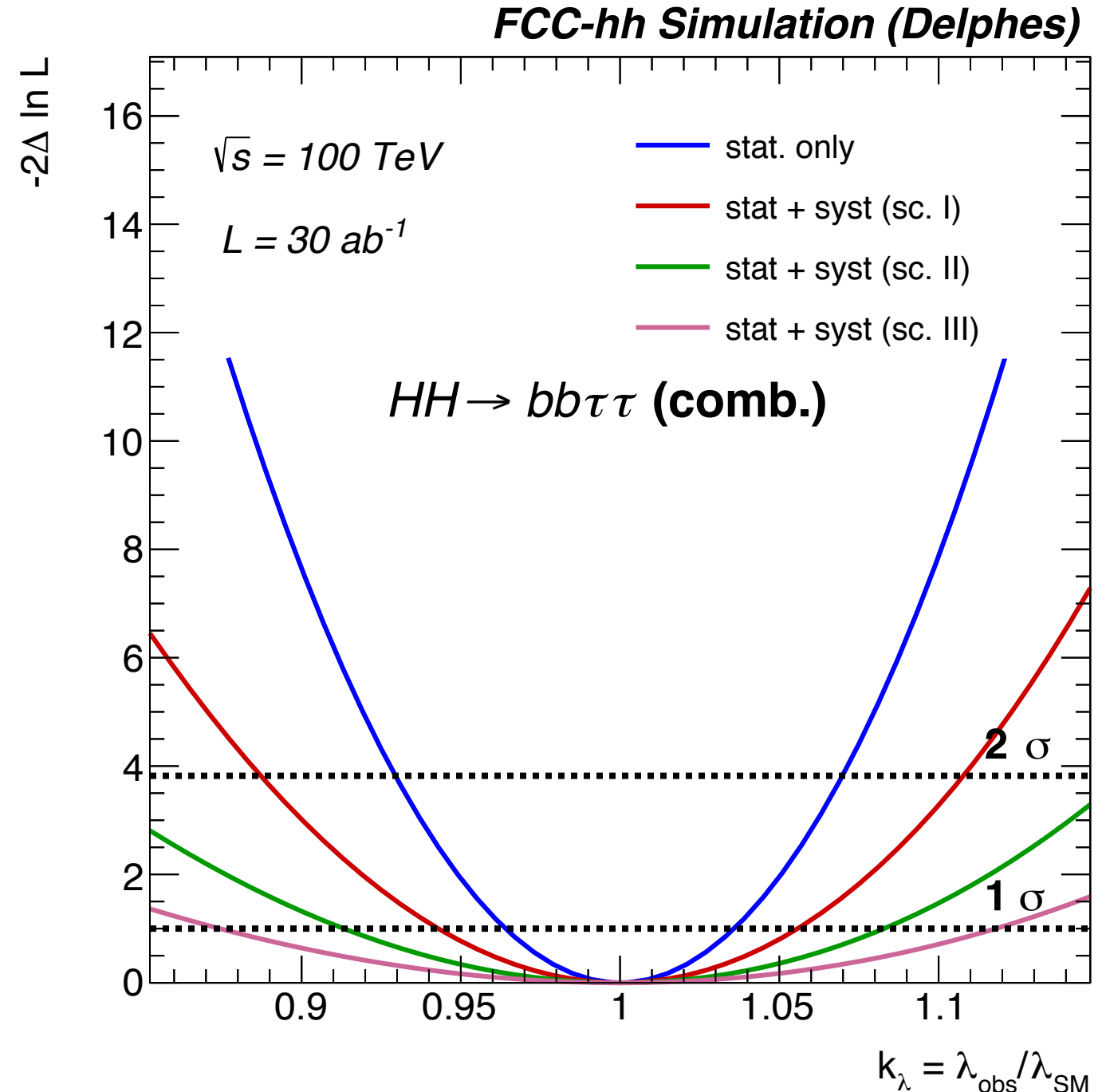
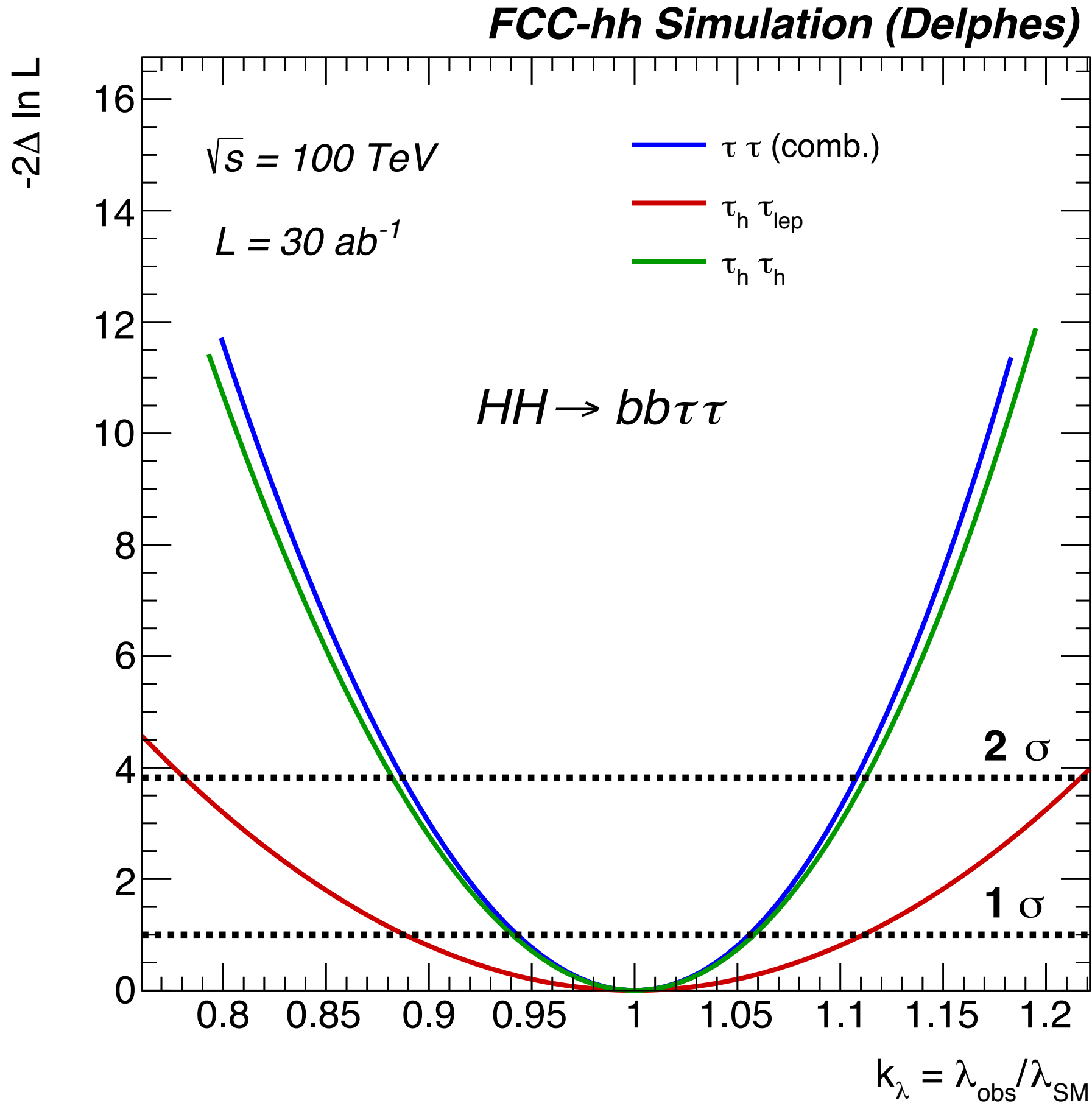
assuming SC.III \rightarrow SC. I



$p_T > 60 \text{ GeV}$

Combination $bb\tau\tau$

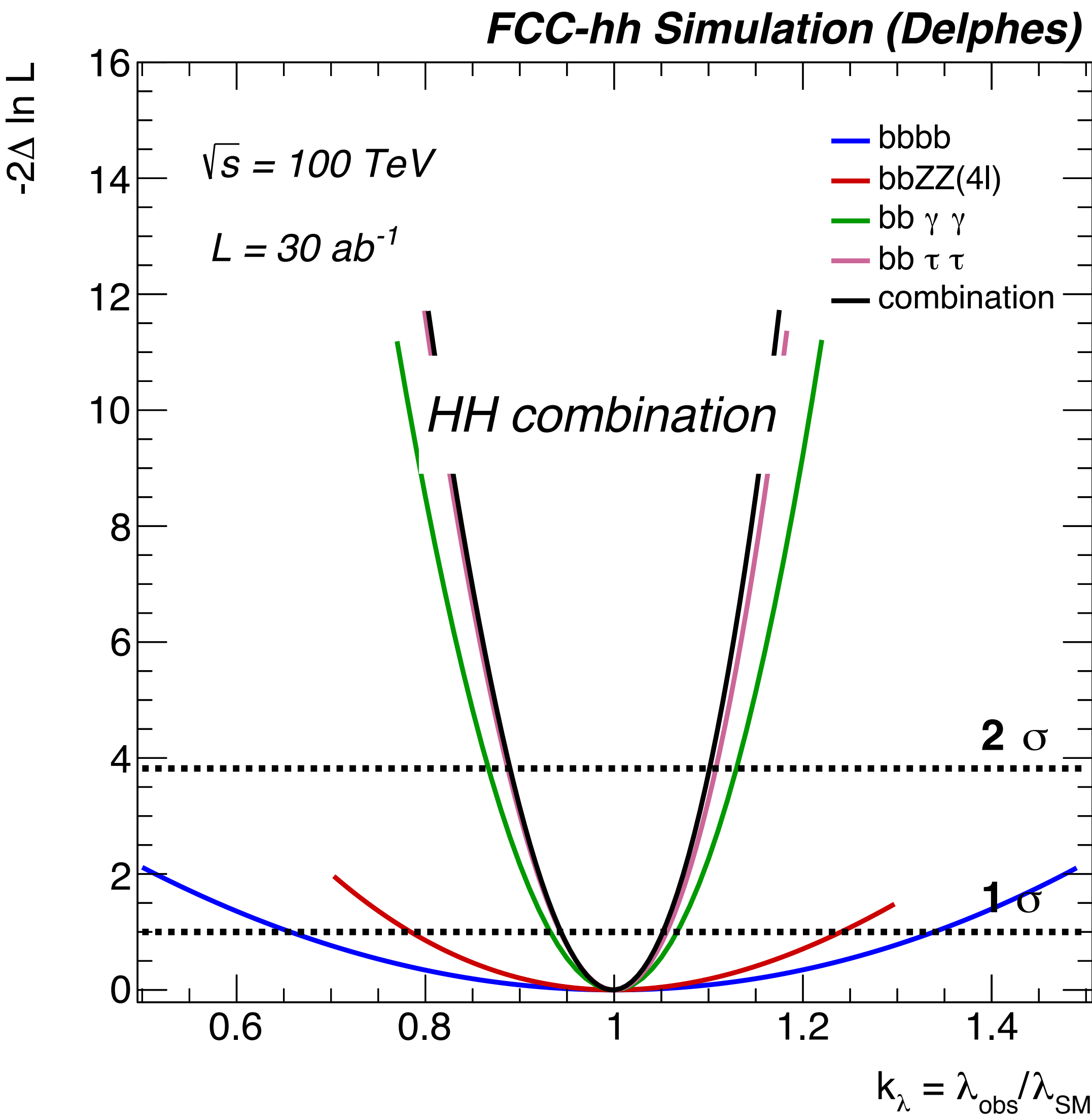
Fully hadronic versus semi-leptonic



varying uncertainties:

$\delta k_\lambda(\text{stat}) \approx 4\%$
 $\delta k_\lambda(\text{stat} + \text{syst}) \approx 5-12\%$

Combination of all channels



Most aggressive systematic scenario for bb $\tau\tau$

Conclusions & outlook

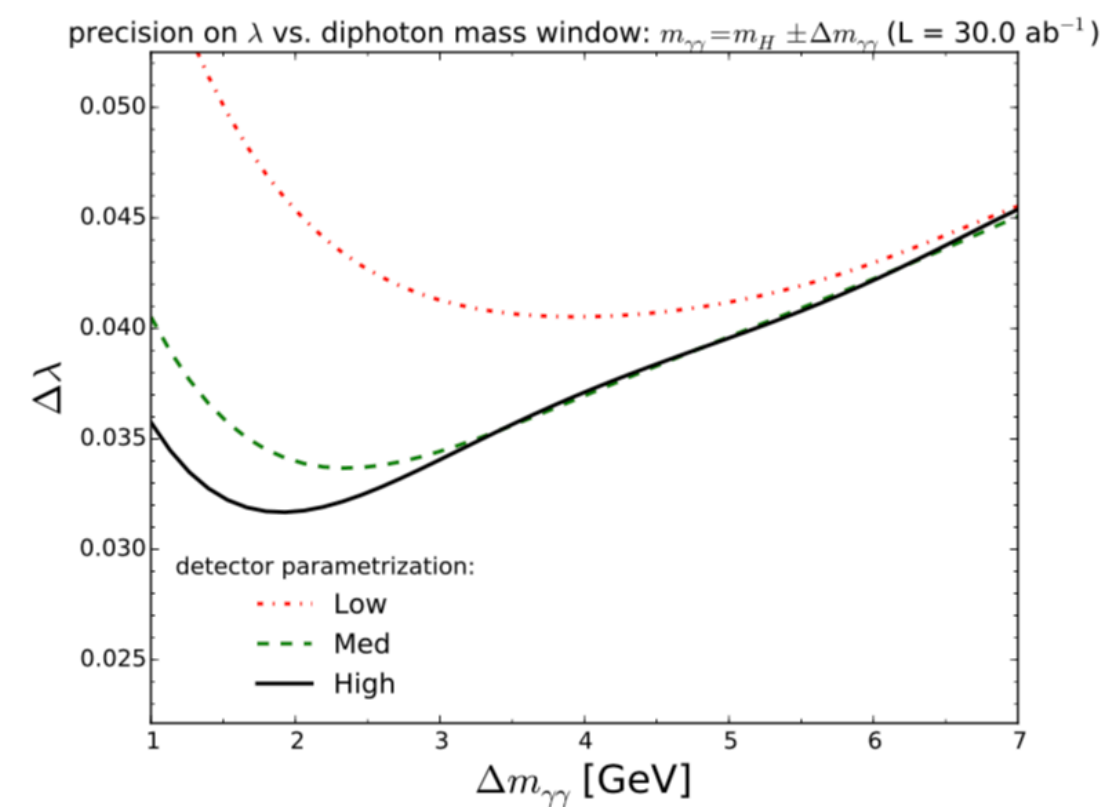
- FCC-ee can measure in single Higgs production:
 - $\delta\kappa_\lambda(\text{stat}) \approx 35\%$ (21%) with 2 IPs (4IPs)
- FCC-hh can reach $\delta\kappa_\lambda(\text{stat}) \approx 5\%$ using double Higgs production, via:
 - $bb\gamma\gamma: \delta\kappa_\lambda \approx 5-7\%$
 - $bb\tau\tau: \delta\kappa_\lambda \approx 5-10\%$ (using $\tau_{\text{lep}}\tau_{\text{had}}$ and $\tau_{\text{had}}\tau_{\text{had}}$)
 - $bb4l: \delta\kappa_\lambda \approx 10-20\%$
 - $bbbb: \delta\kappa_\lambda \approx 20-30\%$
 - $bbWW: \delta\kappa_\lambda \approx 40\%$

BACKUP

Baseline

[R. Contino, C. Englert, G. Panico, A. Papaefstathiou, J. Ren, MS, M. Son, M. Spannowsky, W. Yao]

- Detailed analysis performed in 2016 (summarised in the Yellow Report [1606.09408])
 - cut-based analysis
 - reported sensitivity on λ after 30 ab⁻¹ at 100 TeV
 - studied impact of detector performance, systematics, background normalisation



	$\Delta_S = 0.00$	$\Delta_S = 0.01$	$\Delta_S = 0.015$	$\Delta_S = 0.02$	$\Delta_S = 0.025$
$r_B = 0.5$	2.7%	3.4%	4.1%	4.9%	5.8%
$r_B = 1.0$	3.4%	3.9%	4.6%	5.3%	6.1%
$r_B = 1.5$	3.9%	4.4%	5.0%	5.7%	6.4%
$r_B = 2.0$	4.4%	4.8%	5.4%	6.0%	6.8%
$r_B = 3.0$	5.2%	5.6%	6.0%	6.6%	7.3%

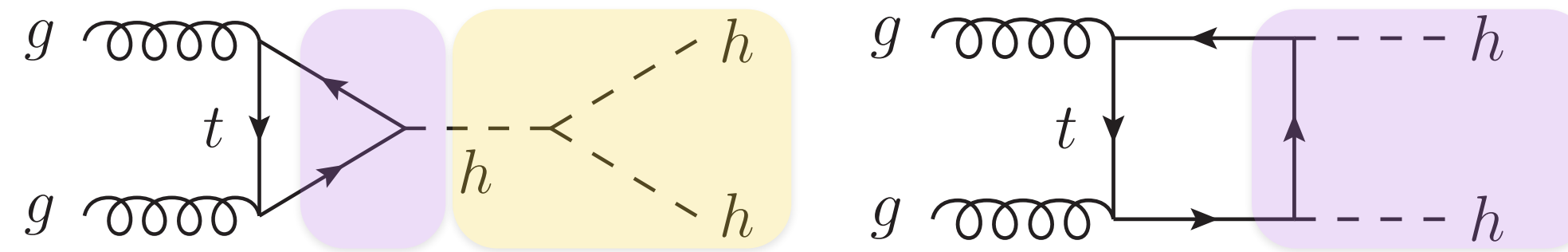
UPDATES:

- up-to-date parton shower/underlying event modelling (Pythia8 vs Pythia6)
- more recent FCC-hh detector description (4T vs 6T, smaller detector size)
- QCD background generation using 5f scheme (jjj γ , jj $\gamma\gamma$)
- Up-to-date k-factors for backgrounds (ttH) and signal (λ -dependent)

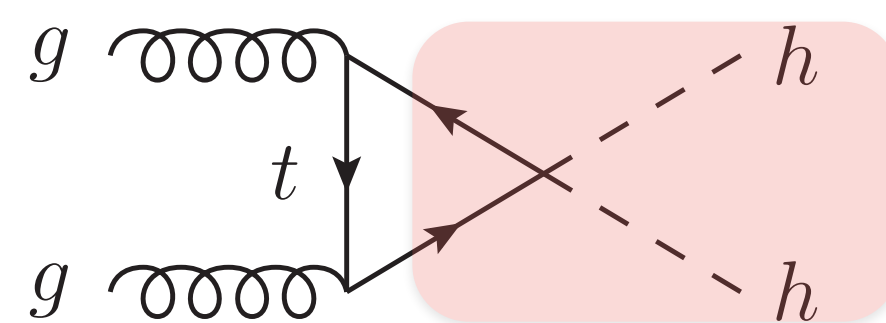
The relevant lagrangian terms of $gg \rightarrow HH$ production in D=6 EFT

$$\mathcal{L}_{hh} = -\frac{m_h^2}{2v} \left(1 - \frac{3}{2}c_H + c_6 \right) h^3 + \frac{\alpha_s c_g}{4\pi} \left(\frac{h}{v} + \frac{h^2}{2v^2} \right) G_{\mu\nu}^a G_a^{\mu\nu} - \left[\frac{m_t}{v} \left(1 - \frac{c_H}{2} + c_t \right) \bar{t}_L t_R h + \text{h.c.} \right] - \left[\frac{m_t}{v^2} \left(\frac{3c_t}{2} - \frac{c_H}{2} \right) \bar{t}_L t_R h^2 + \text{h.c.} \right]$$

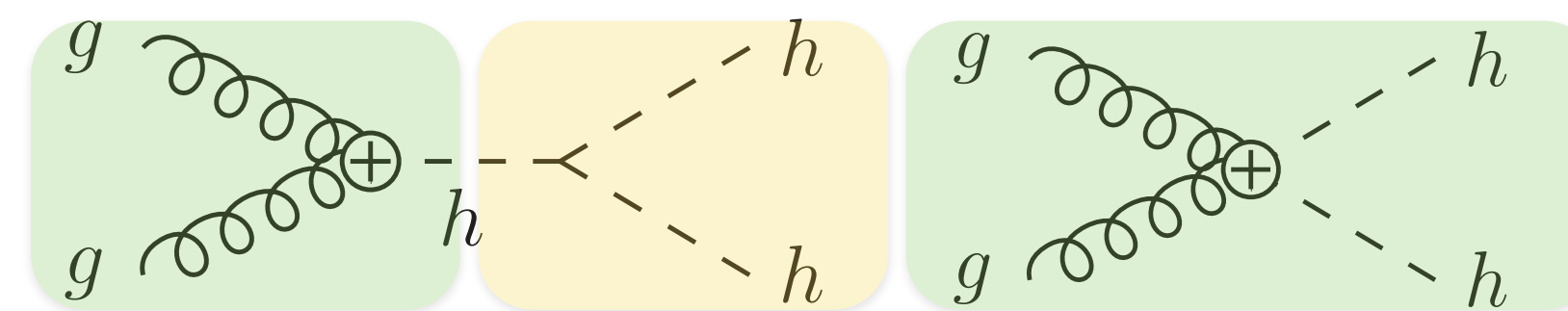
arXiv:1410.3471



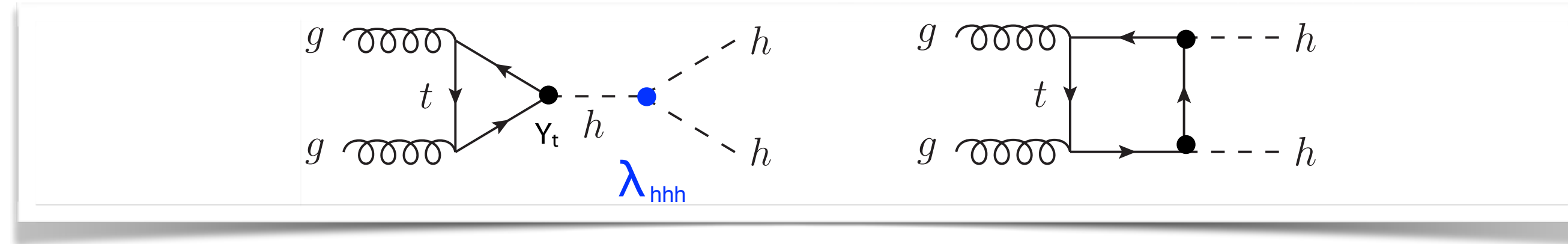
SM diagrams



ttHH non-linear interaction



Higgs-gluon contact interactions

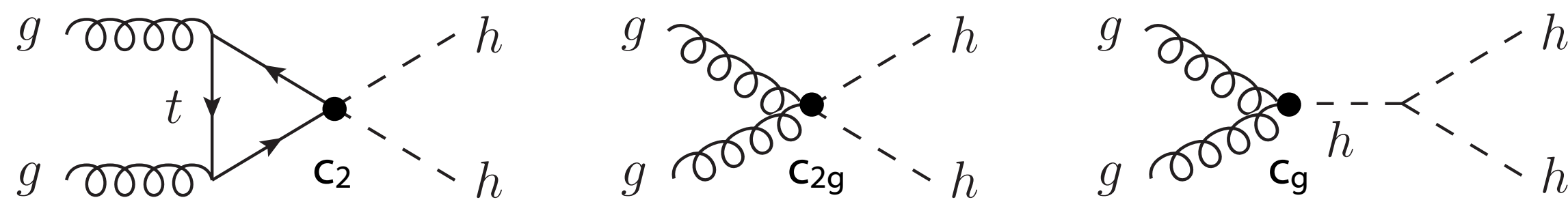


$$\sigma^{\text{SM}}_{hh}(13\text{TeV}) = 33.45\text{fb}^{+4.3\%}_{-6.0\%}(\text{scale unc.}) \pm 3.1\%(\text{PDF}+\alpha_s \text{ unc})^{[1]}$$

The non-resonant double Higgs production allows to directly probe the Higgs trilinear coupling (λ_{hhh}). Even if in Run2 we do not have full sensitivity to “measure” SM λ_{hhh}

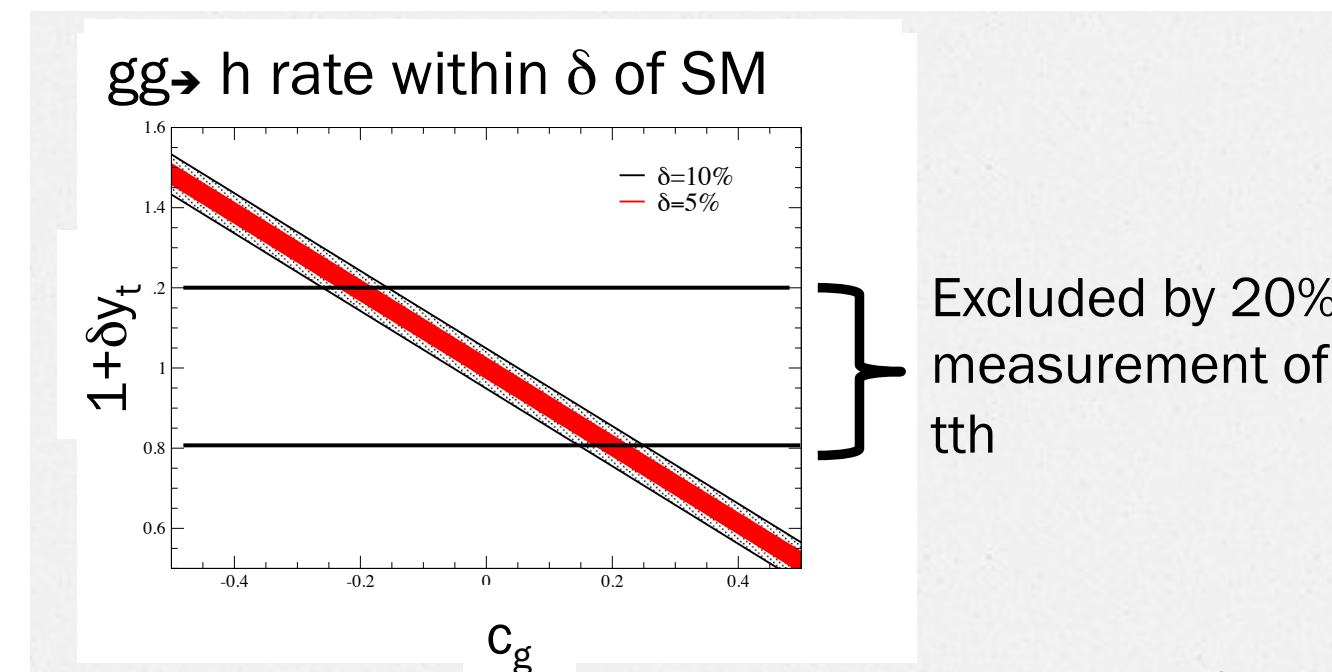
→ The BSM physics can be modelled in EFT adding dim-6 operators^[2] to the SM Lagrangian, and the physics can be described with 5 parameters: λ_{hhh} , γ_t , c_2 , c_{2g} , c_g

- Non SM top Yukawa and λ_{hhh} couplings
- New diagrams and couplings in the game



To be noted :

in a linear EFT $c_g = c_{2g}$ and $c_2 = -(3m_t/2v)\gamma_t$



[1] LHCHSWG Yellow Report 4

[2] Phys. Rev. **D91** (2015), no. 11, 115008