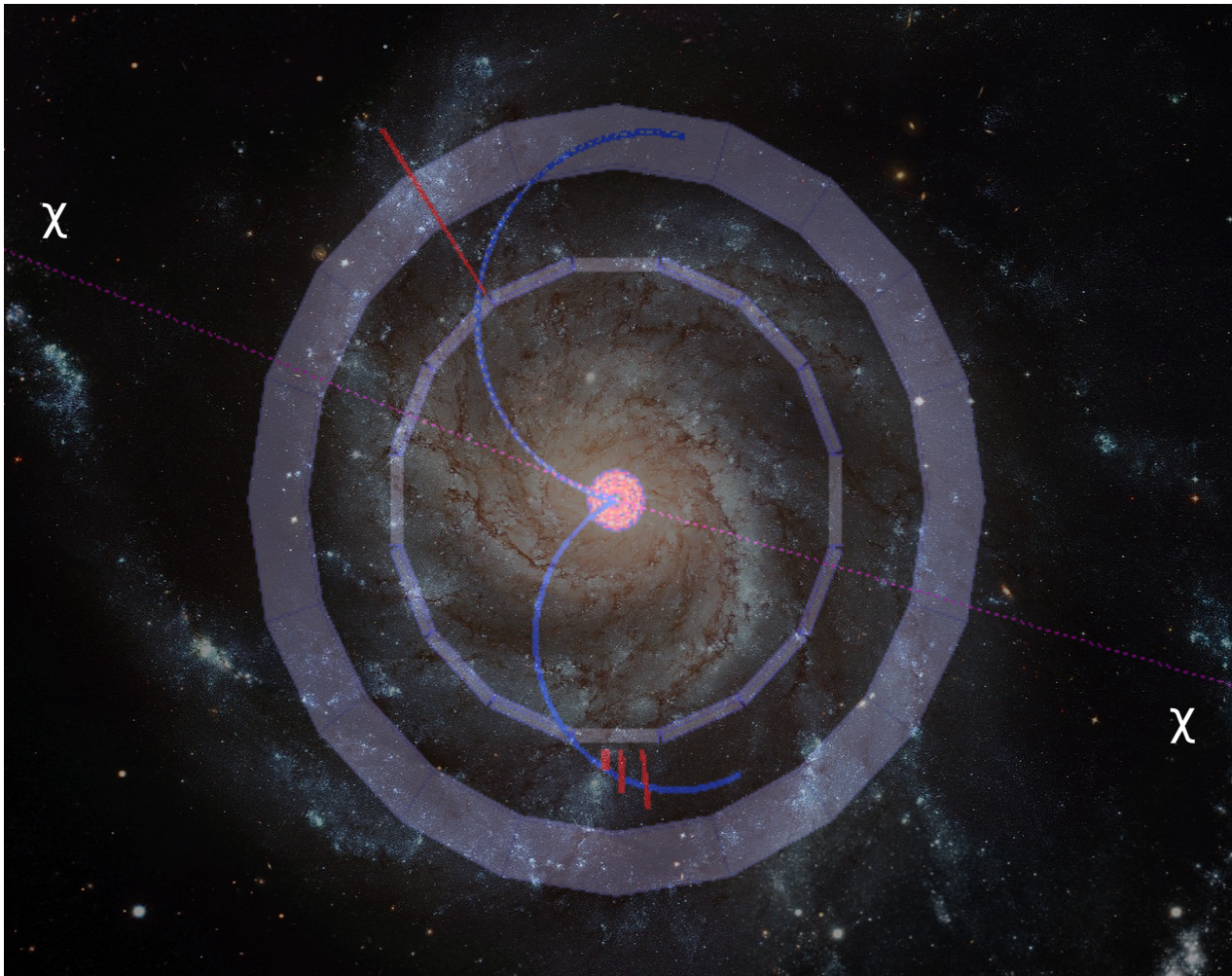


**Flavour and Dark Matter 24-26/09/2018**  
**Karlsruhe Institute of Technology**



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**Institute of High**  
**Energy Physics**  
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**Vienna- Austria**  
**(FWF P 31361-N36)**  
*gianluca.inguglia@oeaw.ac.at*  
**Karlsruhe 25/09/2018**

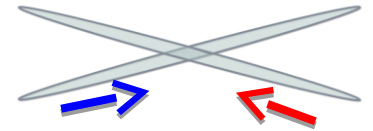
***“Dark sector physics***  
***with charged final***  
***states in Belle II”***



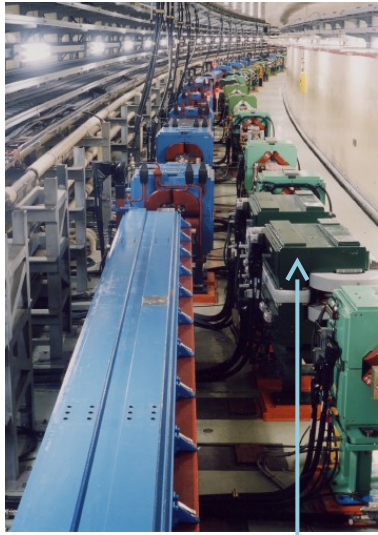
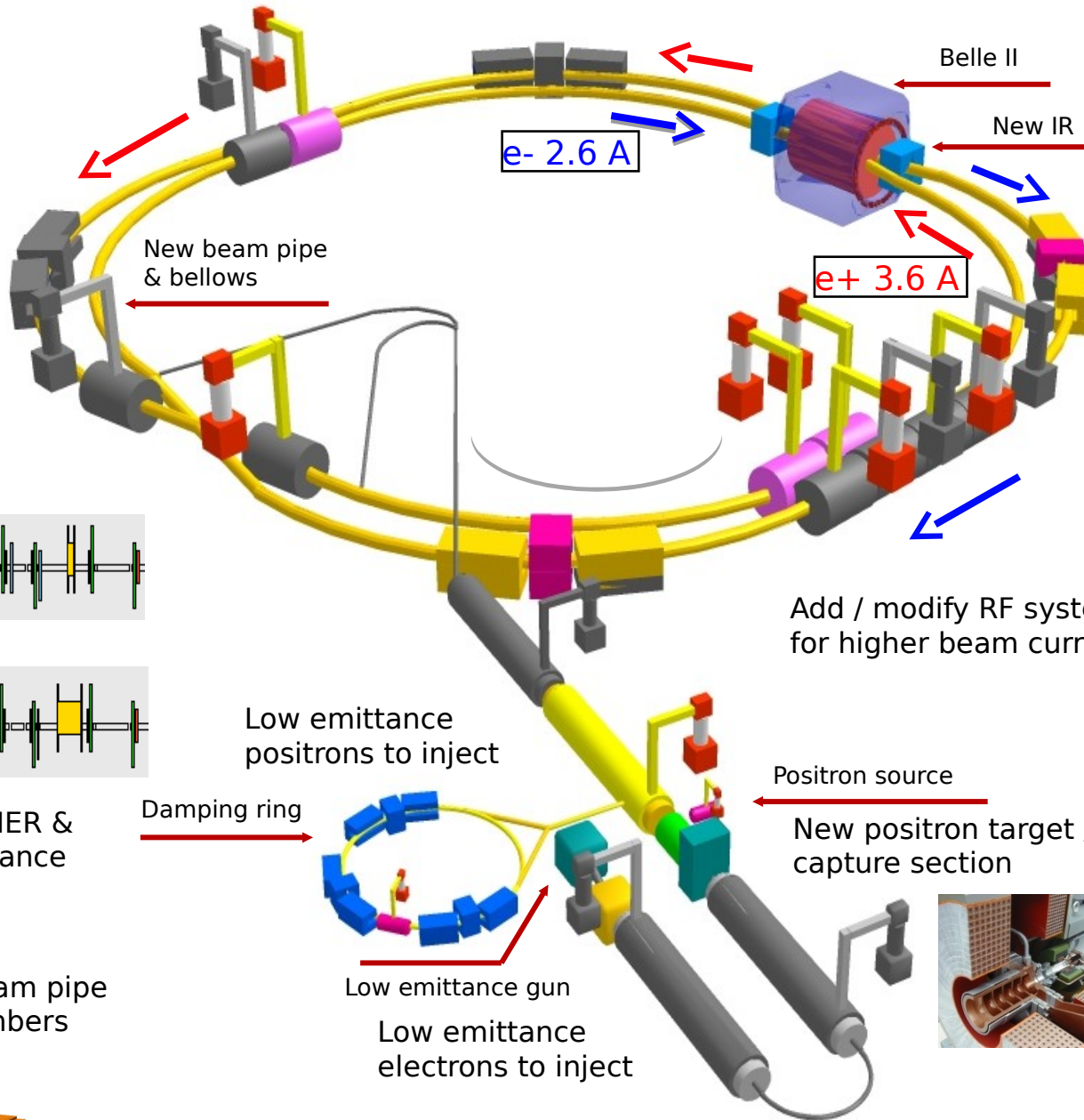
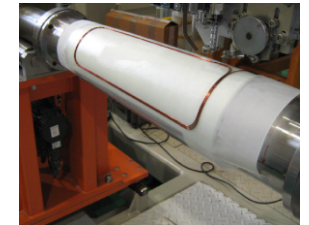
# KEKB to SuperKEKB



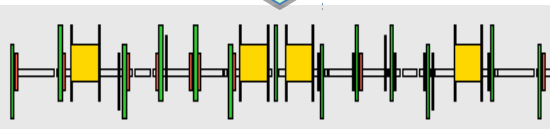
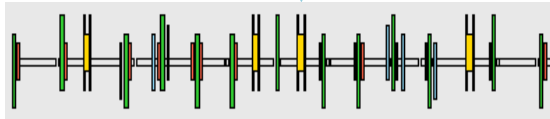
Colliding bunches



New superconducting / permanent final focusing quads near the IP

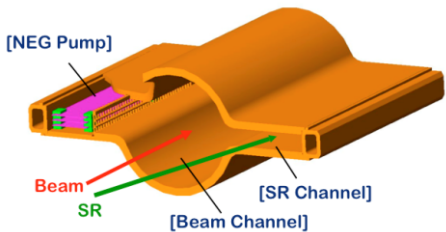


Replace short dipoles with longer ones (LER)



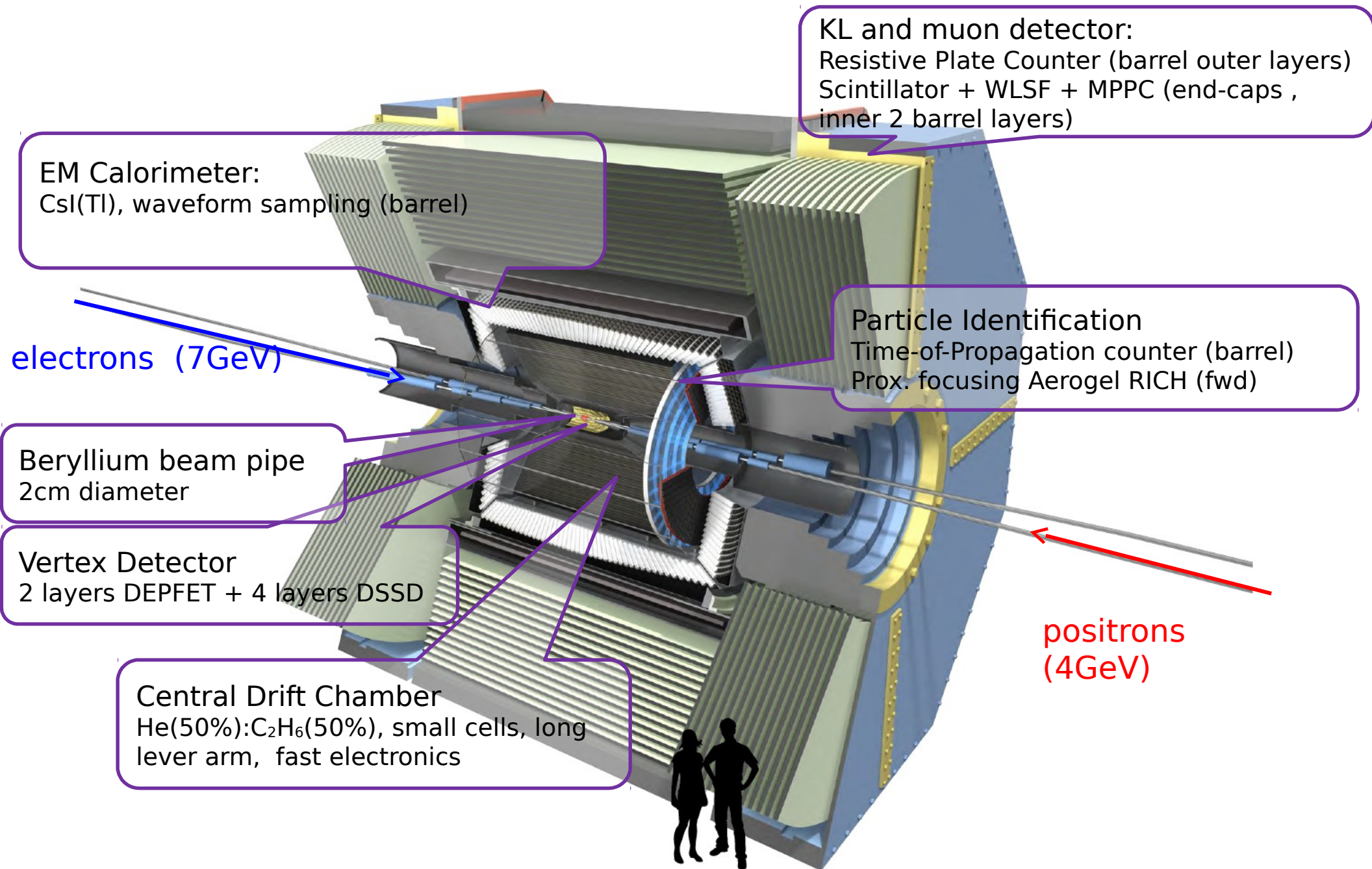
Redesign the lattices of HER & LER to squeeze the emittance

TiN-coated beam pipe with antechambers



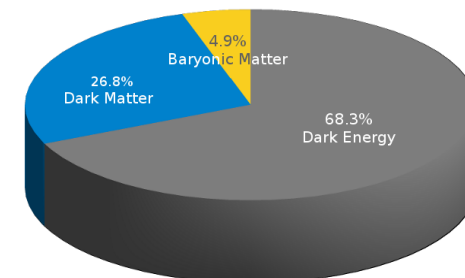
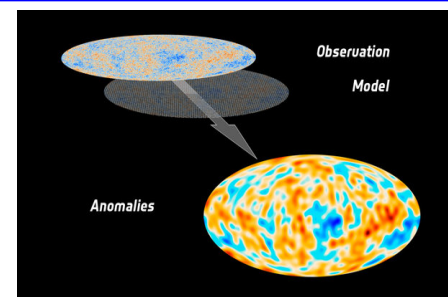
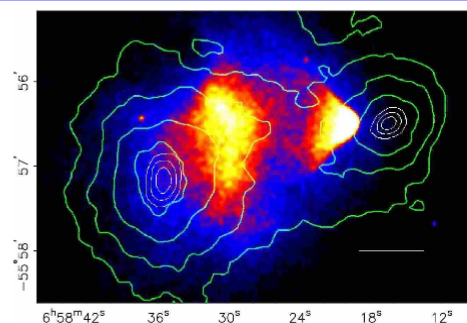
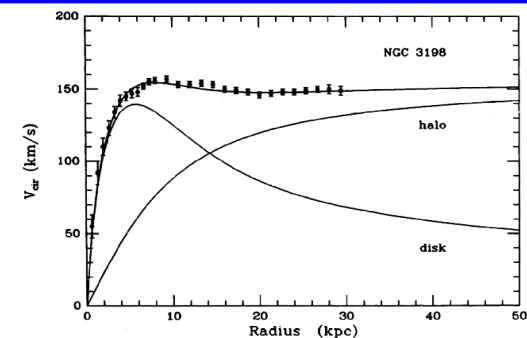
**To obtain x40 higher luminosity**

# Belle II Detector Elements





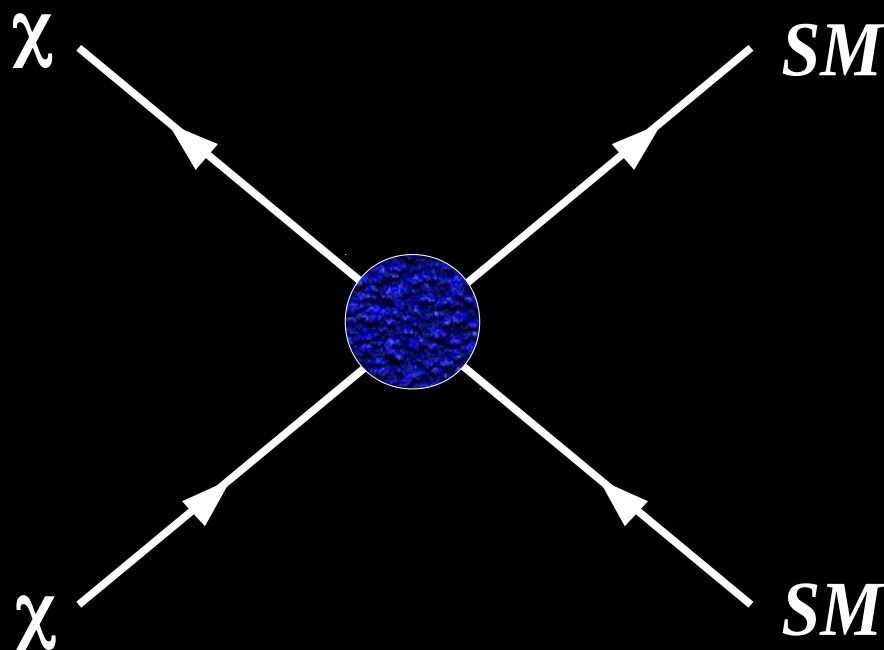
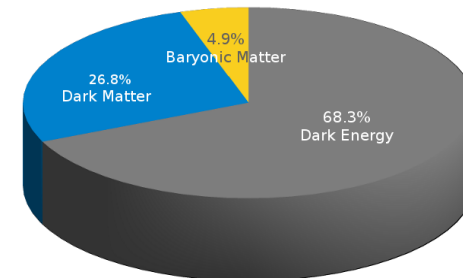
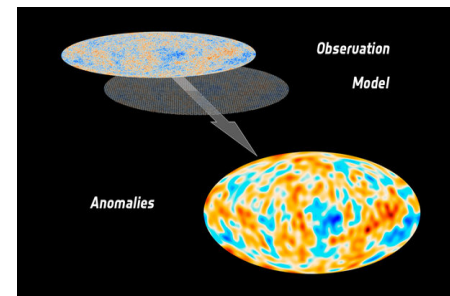
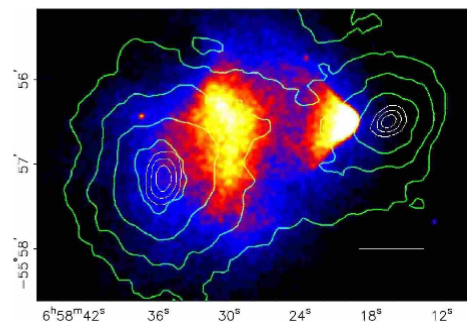
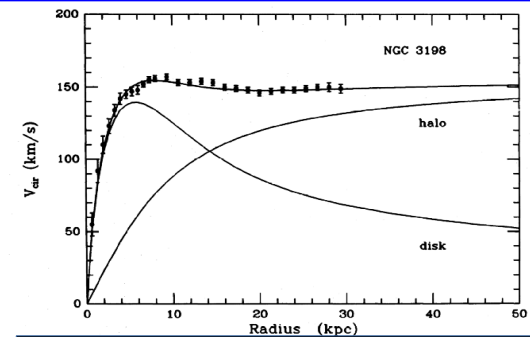
# Dark sector searches @ BELLE and BELLE 2: Why?



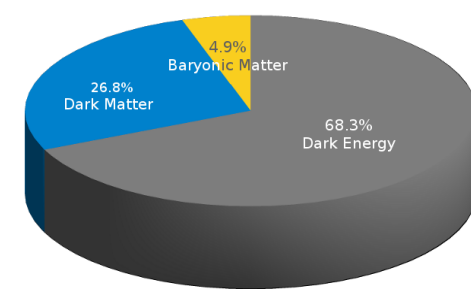
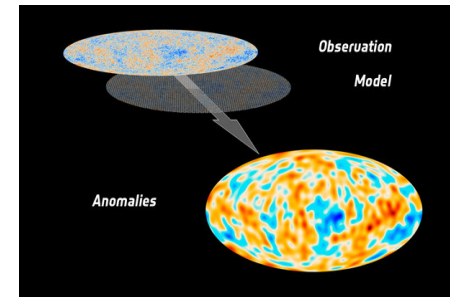
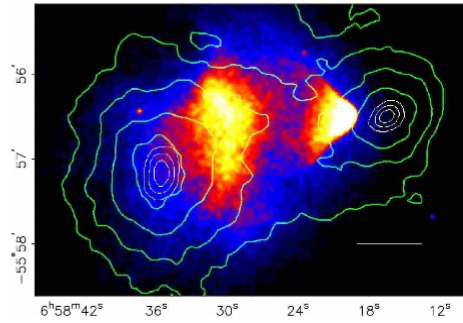
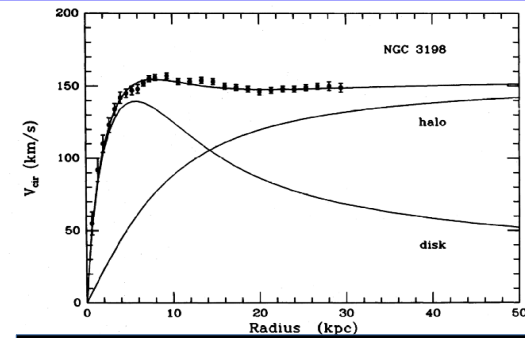
- Various reasons to agree that dark matter (DM) exists
  - But the nature of DM is unknown and understanding what dark matter is represents one of the biggest challenge our community is facing this days
- One possibility is represented by the lightest **SUSY** particle (which is stable)
  - *But why should we have only one DM particle when density of DM is 5 times larger the density of visible matter (i.e. many SM particles)?*
- Many new models have been and are currently being developed to propose a more complex sector for dark matter explaining also anomalies observed in astrophysical process → dark sector(s).
- Within dark sector models, **ADM** theories assign a certain importance to the fact that  $\Omega_{\text{DM}}/\Omega_{\text{BM}} \sim 5$ . As for the **BAU** a tiny difference between particle-antiparticle in the early Universe has evolved to the observed  $\Omega_{\text{BM}}$  today after the other particles-antiparticles have annihilated each other, something similar happened to DM particles-antiparticles.
- I will not discuss details of the models but will rather discuss experimental signatures and searches at Belle2



# Searching for Dark Matter



# Searching for Dark Matter

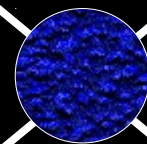


Direct production @ colliders

Make it

SM

$\chi$



$\chi$

Break it

SM

Indirect detection

Direct detection

Shake it

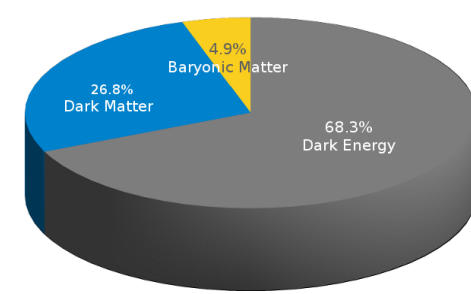
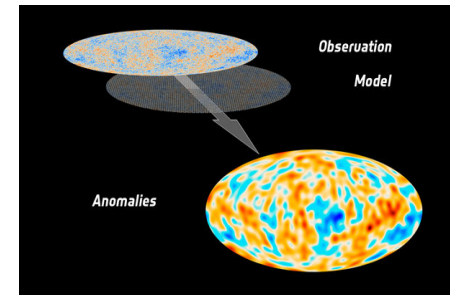
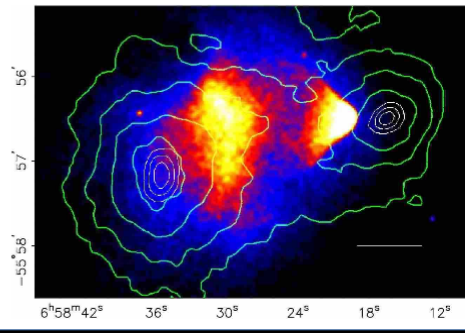
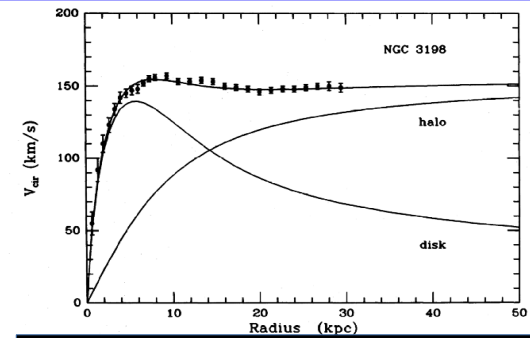
Search for events with missing energy, particle disappearance, dark forces, etc.

Search for interaction of DM particles with (usually) underground detectors: heat, scintillation light, etc..

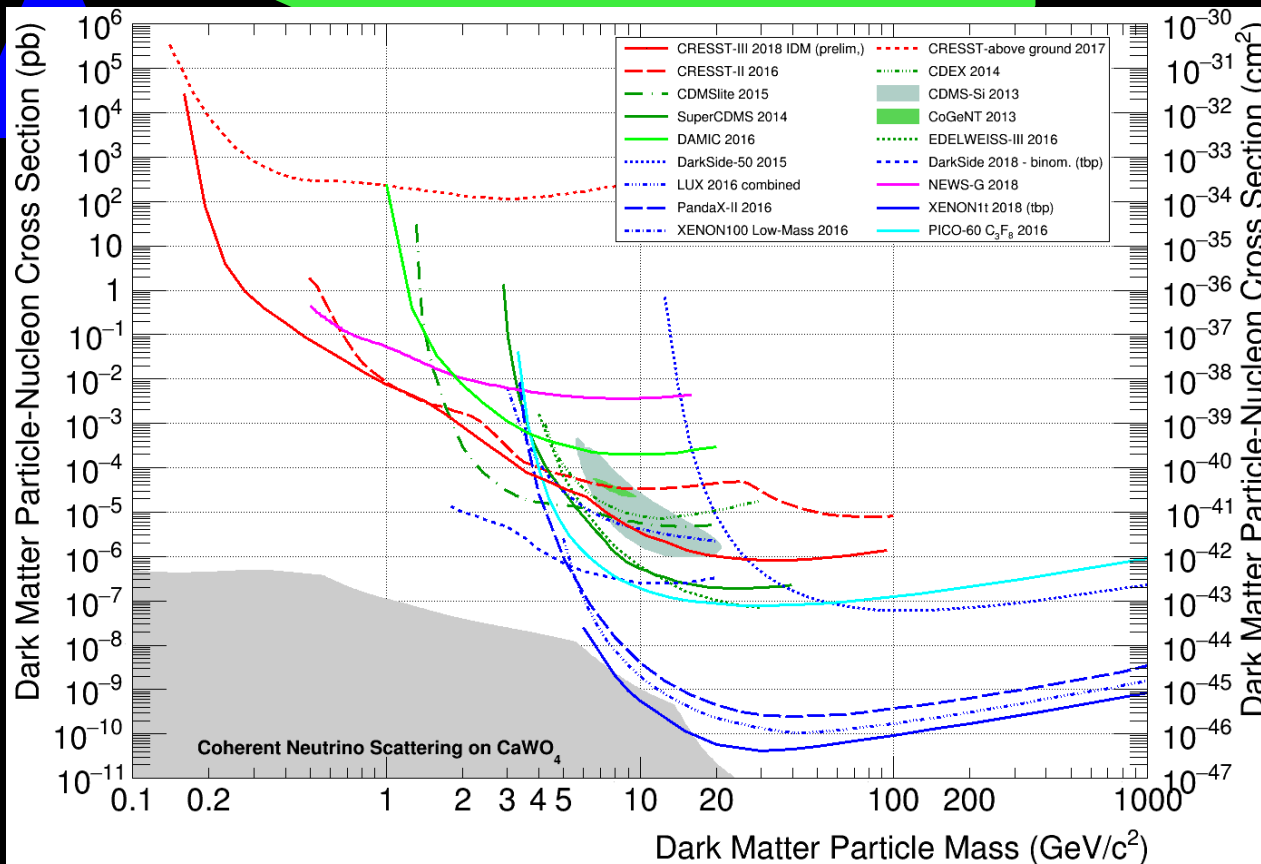
Space/earth based experiments: gamma ray energy excess, anti-particle excess, HE neutrinos etc.



# Searching for Dark Matter



## Direct production @ colliders

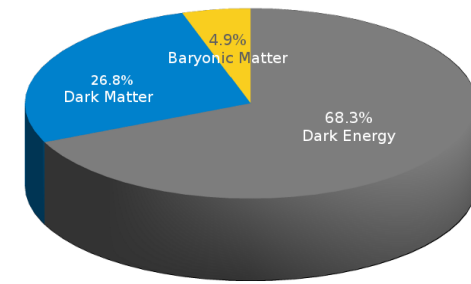
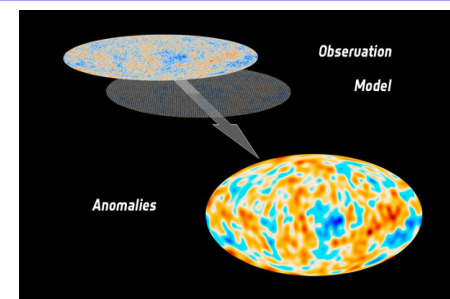
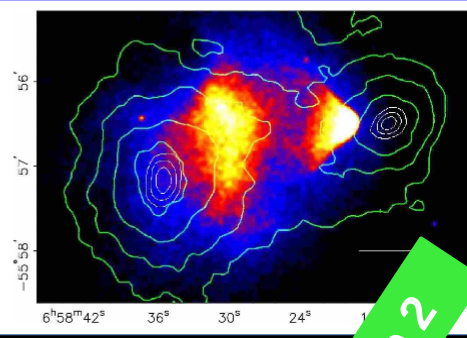
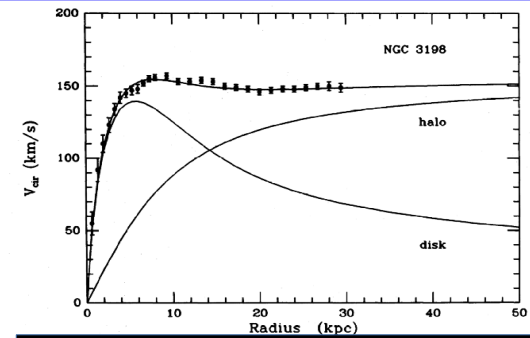


Search for events with missing energy, particle disappearance, dark forces, etc.

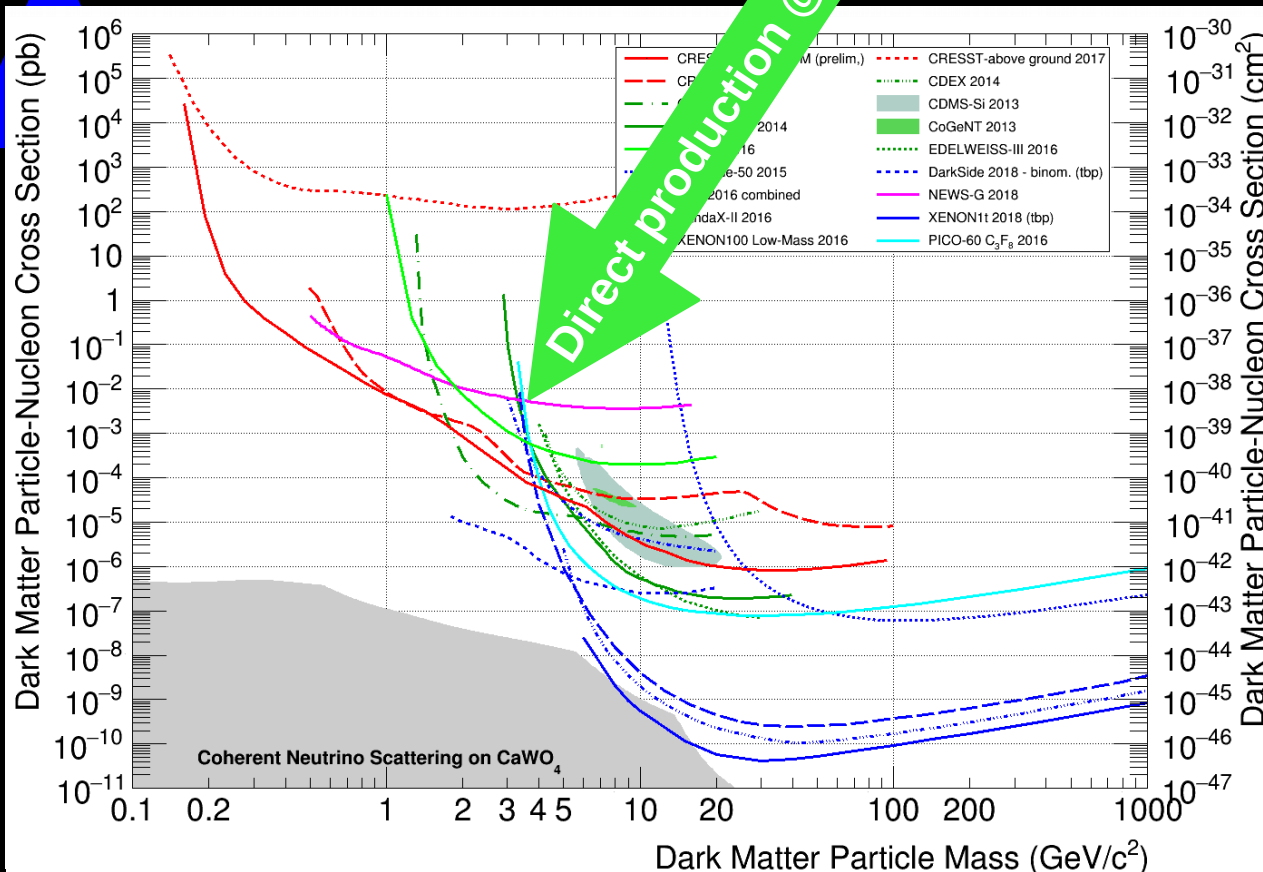
Search for interaction of DM particles with (usually) underground detectors: heat, scintillation light, etc..

Space/earth based experiments: gamma ray energy excess, anti-particle excess, HE neutrinos etc.

# Searching for Dark Matter and Forces @ Belle/Belle II



Direct production @ Belle 2



Search for events with missing energy, particle disappearance, dark forces, etc.

Search for interaction of DM particles with (usually) underground detectors: heat, scintillation light, etc..

Space/earth based experiments: gamma ray energy excess, anti-particle excess, HE neutrinos etc.

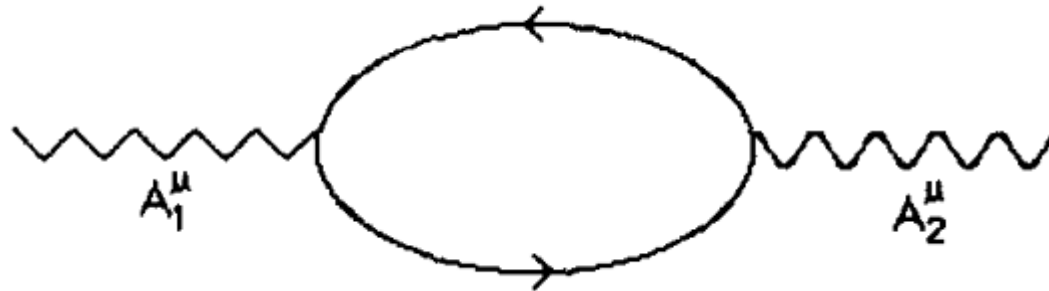


# Dark Photon and Kinetic Mixing

Dark photon first proposed in

P. Fayet, Phys. Lett. B **95**, 285 (1980),  
P. Fayet Nucl. Phys. B **187**, 184 (1981).

- (Holdom, 1986) A boson belonging to an additional  $U(1)'$  symmetry would mix kinetically with the photon:

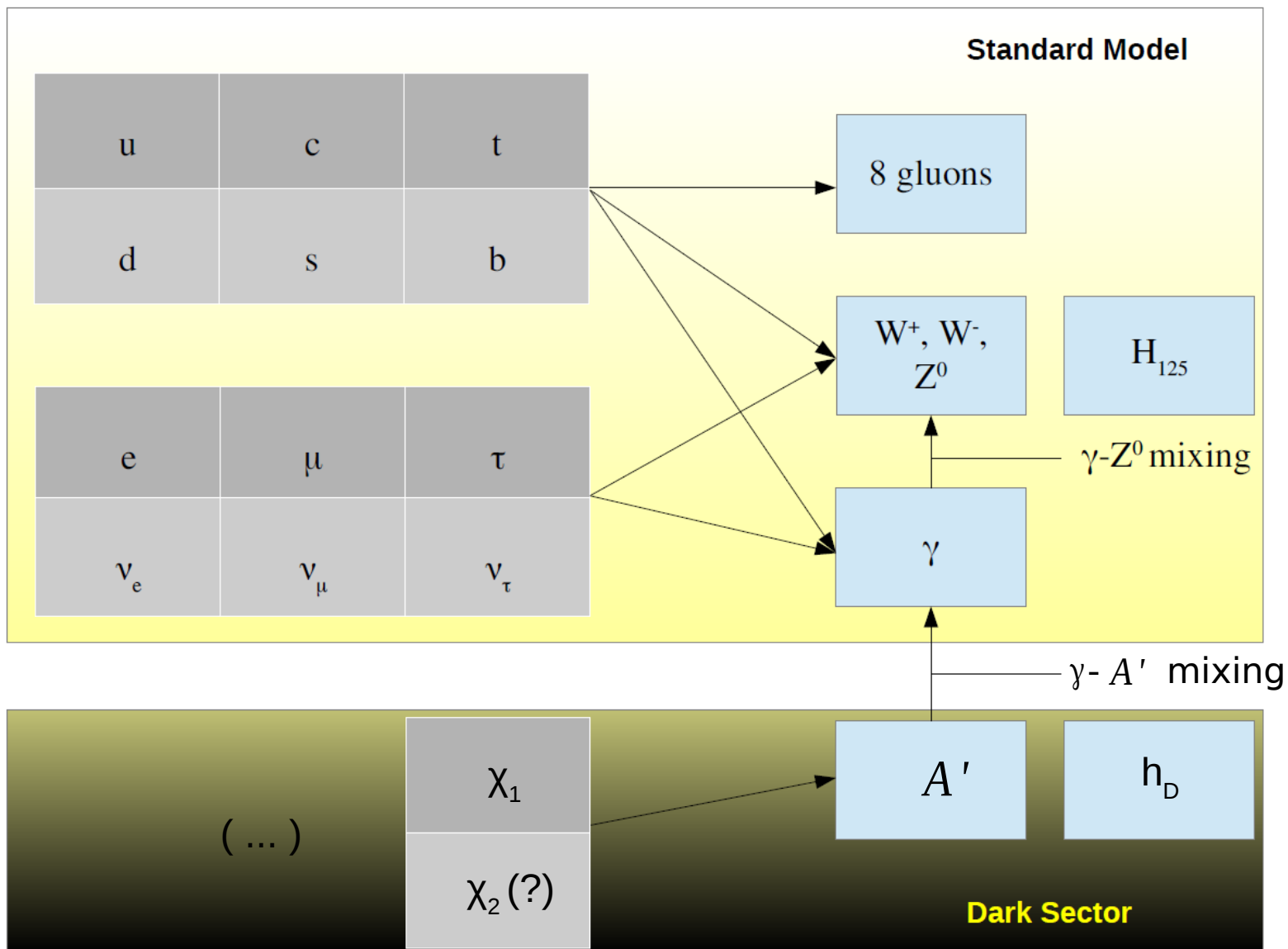


- The kinetic mixing is a term in the Lagrangian expressed by  $\frac{1}{2} \epsilon F_{\mu\nu}^Y F'^{\mu\nu}$
- For the dark photon to acquire mass an extended Higgs sector is required to break the new  $U(1)'$  symmetry

Note:  $\epsilon$  is the strength of the kinetic mixing and it is supposed to be small,  $10^{-5}$ - $10^{-2}$ , **the smaller the value of  $\epsilon$  the longer  $A'$  lifetime (i.e. long lived)**.  
The Mass of the new boson should be in the range few MeV to few GeV (Nima Arkani-Hamed et al. Phys. Rev. D **79**, 015014, 2009).

# Dark Sector : How Does It Look Like?

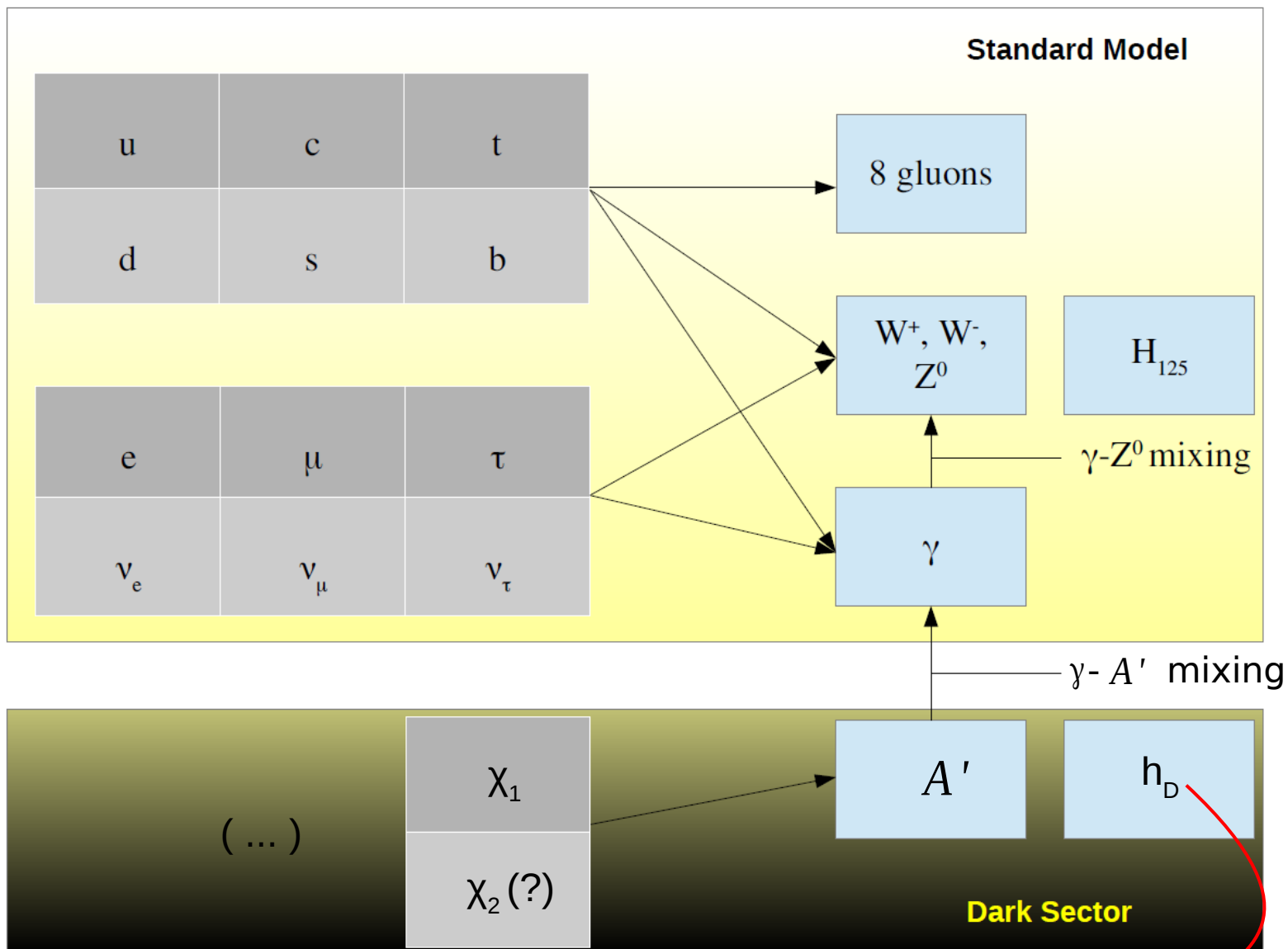
*A very simple example...*





# Dark Sector : How Does It Look Like?

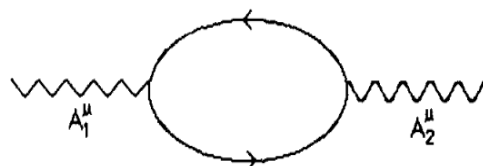
*A very simple example...*



# Dark sector searches @ BELLE and BELLE 2: Why?

$A'$  = dark photon,  $H_D$  = dark Higgs boson,  $\chi$  = dark matter

Most dark sector models require an additional U(1) symmetry responsible for the “interactions” between dark sector particles and SM particles through its gauge boson  $A'$ .



$$\frac{1}{2} \epsilon F_{\mu\nu}^Y F'^{\mu\nu}$$

P. Fayet, Phys. Lett. B **95**, 285 (1980),  
 P. Fayet Nucl. Phys. B **187**, 184 (1981).  
 B. Holdom, Phys. Lett. B **166**, 196 (1986)

*Kinetic mixing strength*

A massive force mediator of the extra U(1) symmetry requires the U(1) symmetry to be broken: extended Higgs sector

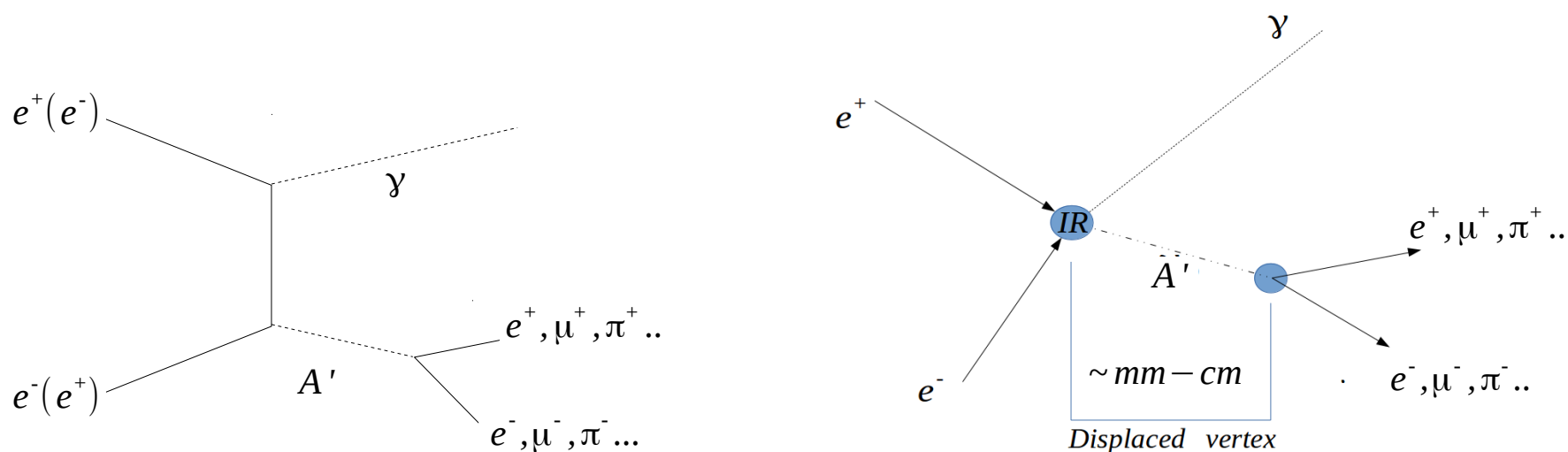
- $M(A') \sim \text{GeV scale} \rightarrow$  mixing with the photon, SM final states accessible
- $M(A') \sim \text{EW scale} \rightarrow$  mixing with  $Z^0$ , effects in rare decays (Y, B, ..) through loops<sup>1</sup>
- $M(A') \sim \text{TeV scale} \rightarrow$  effects in rare decays (Y, B, ..) through loops<sup>1</sup>
- $M(h_D) \sim \text{GeV scale} \rightarrow$  dark higgs-strahlung, rare decays
- $M(\chi) \sim \text{GeV scale: } B \rightarrow \chi\chi, B \rightarrow \nu\chi; Y(1S) \rightarrow \chi\chi; Y(3S) \rightarrow \chi\chi Y, A' \rightarrow \chi\chi$

Invisible B/Y decays not accessible at hadron colliders  $\rightarrow$  BELLE2!

<sup>1</sup>Remember the lesson from the past, new particles are first seen indirectly or in loops:  $Z^0$ , charm, top

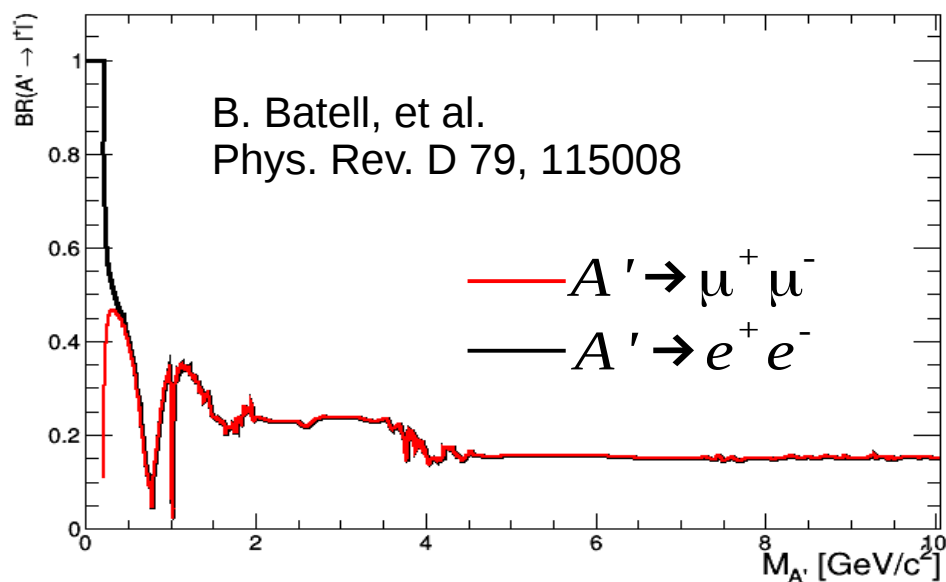


# Dark Photon Search Strategy



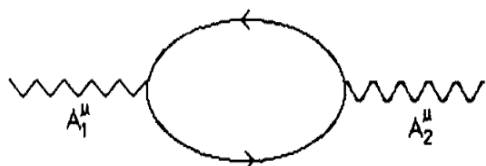
$A'$  = dark photon,  $L$  = long lived light gauge boson (model independent).

$A'$  decays to SM final states through kinetic mixing (if allowed by kinematics). Low multiplicity final states. **2 charged tracks** and **1 photon**, displaced vertex decay.



# Dark Sector Searches: Constraining the Kinetic Mixing

Most dark sector models require an additional U(1) symmetry responsible for the “interactions” between dark sector particles and SM particles through its gauge boson  $A'$ .

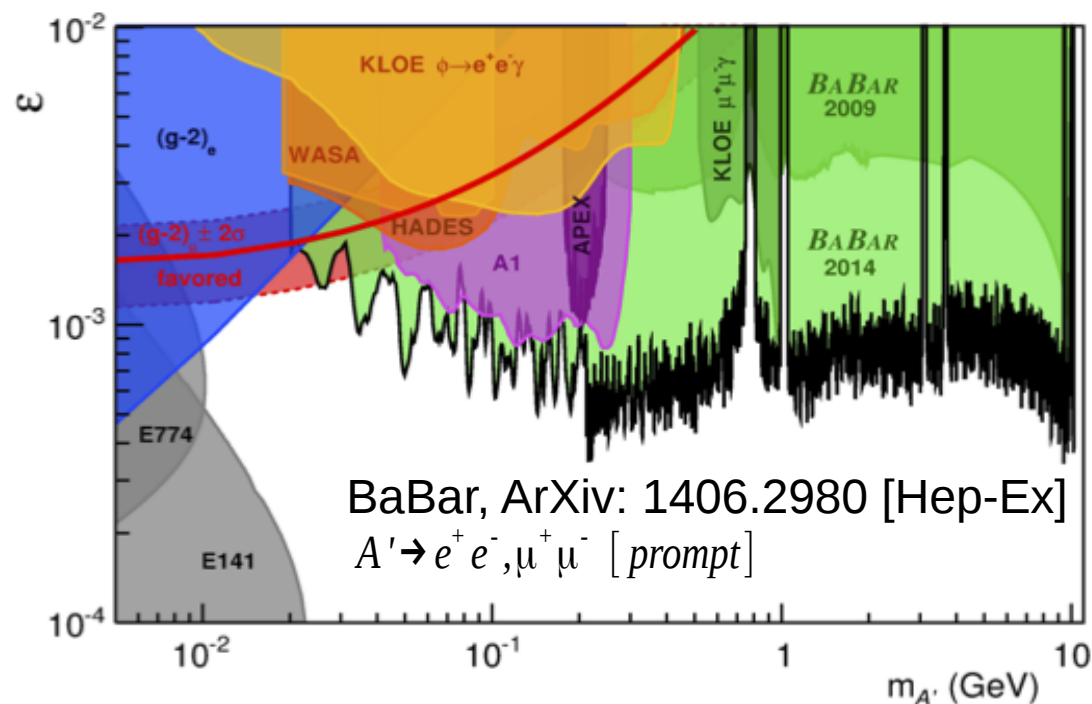


$$\frac{1}{2} \epsilon F_{\mu\nu}^Y F'^{\mu\nu}$$

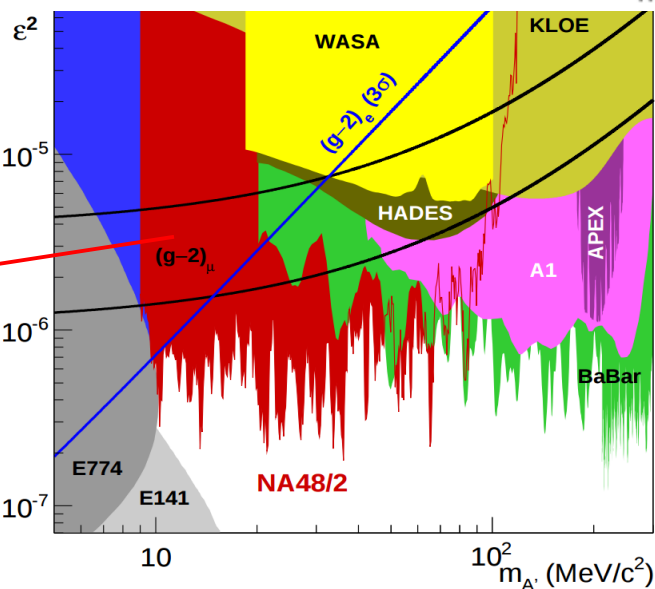
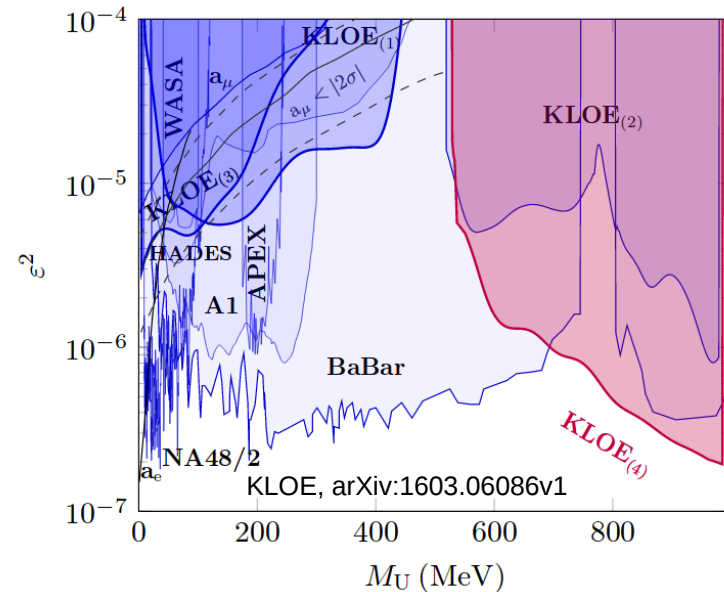
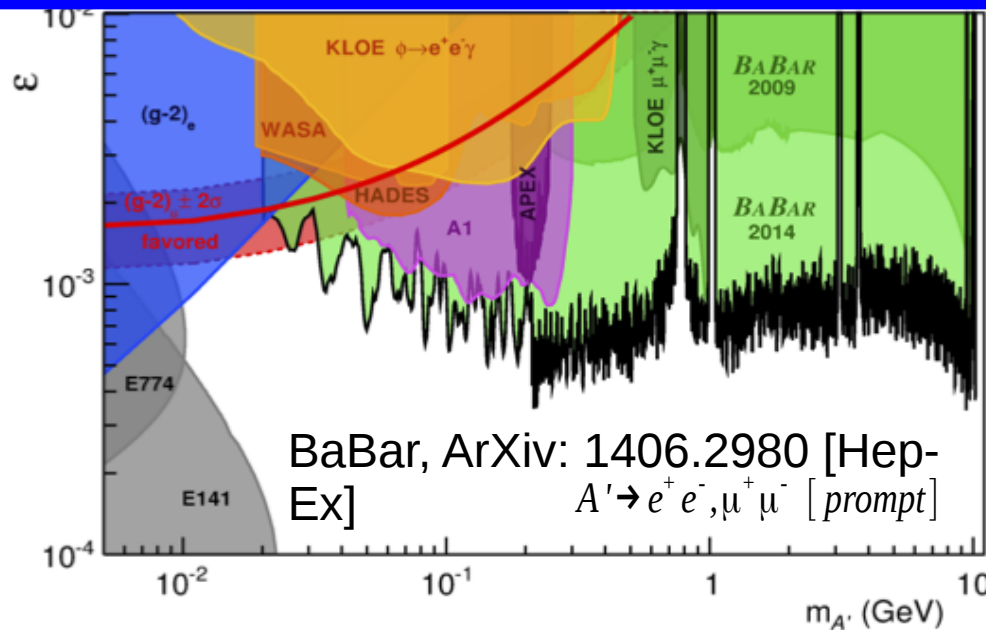
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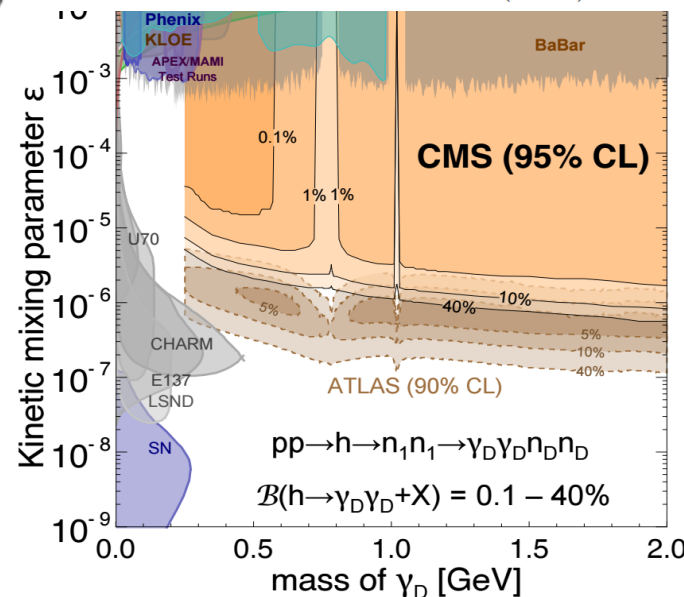
A massive force mediator of the extra U(1) symmetry requires the U(1) symmetry to be broken: extended Higgs sector



# Dark Photon: Current UL to Kinetic Mixing



dark photon explanation of  $(g-2)_\mu$  ruled out for  $A' \rightarrow e^+e^-$



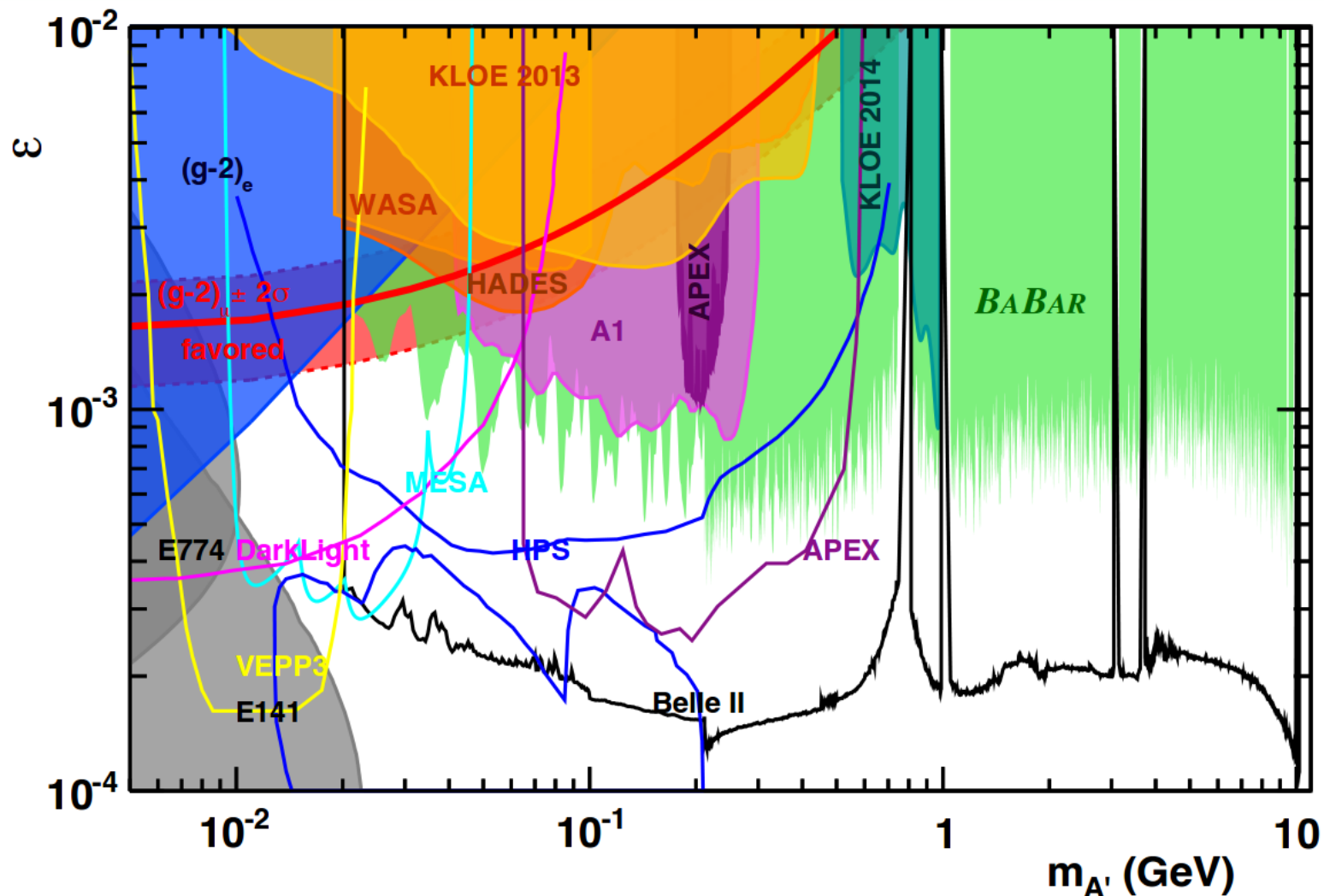
arXiv:1506.00424 [hep-ex]  
 Long lived, decays to leptons

→ See M. Borsato's talk for LHCb studies



# Dark Photon: Expected Sensitivity @ Belle II

$$e^+ e^- \rightarrow \gamma A' \rightarrow \gamma e^+ e^-, \gamma \mu^+ \mu^-, \text{ prompt}$$



Very conservative estimation of Belle II sensitivity to prompt decays of  $A'$  based on BABAR results projected to full Belle II luminosity

# The $L_\mu$ - $L_\tau$ model in the context of dark sector searches: a dark $Z'$

Partial width results and BR derived from eqn. 2.12 of Essig et al. JHEP02(2015)157, arXiv:1412.0018 [hep-ph].

The model is a new gauge boson,  $Z'$ , which couples to  $L_\mu - L_\tau$ . The interaction Lagrangian is

$$\mathcal{L} = -g' \bar{\mu} \gamma^\mu Z'_\mu \mu + g' \bar{\tau} \gamma^\mu Z'_\mu \tau - g' \bar{\nu}_{\mu,L} \gamma^\mu Z'_\mu \nu_{\mu,L} + g' \bar{\nu}_{\tau,L} \gamma^\mu Z'_\mu \nu_{\tau,L}.$$

The equations for the partial widths are,

$$\Gamma(Z' \rightarrow \ell^+ \ell^-) = \frac{(g')^2 M_{Z'}}{12\pi} \left( 1 + \frac{2M_\ell^2}{M_{Z'}^2} \right) \sqrt{1 - \frac{4M_\ell^2}{M_{Z'}^2}} \theta(M_{Z'} - 2M_\ell),$$

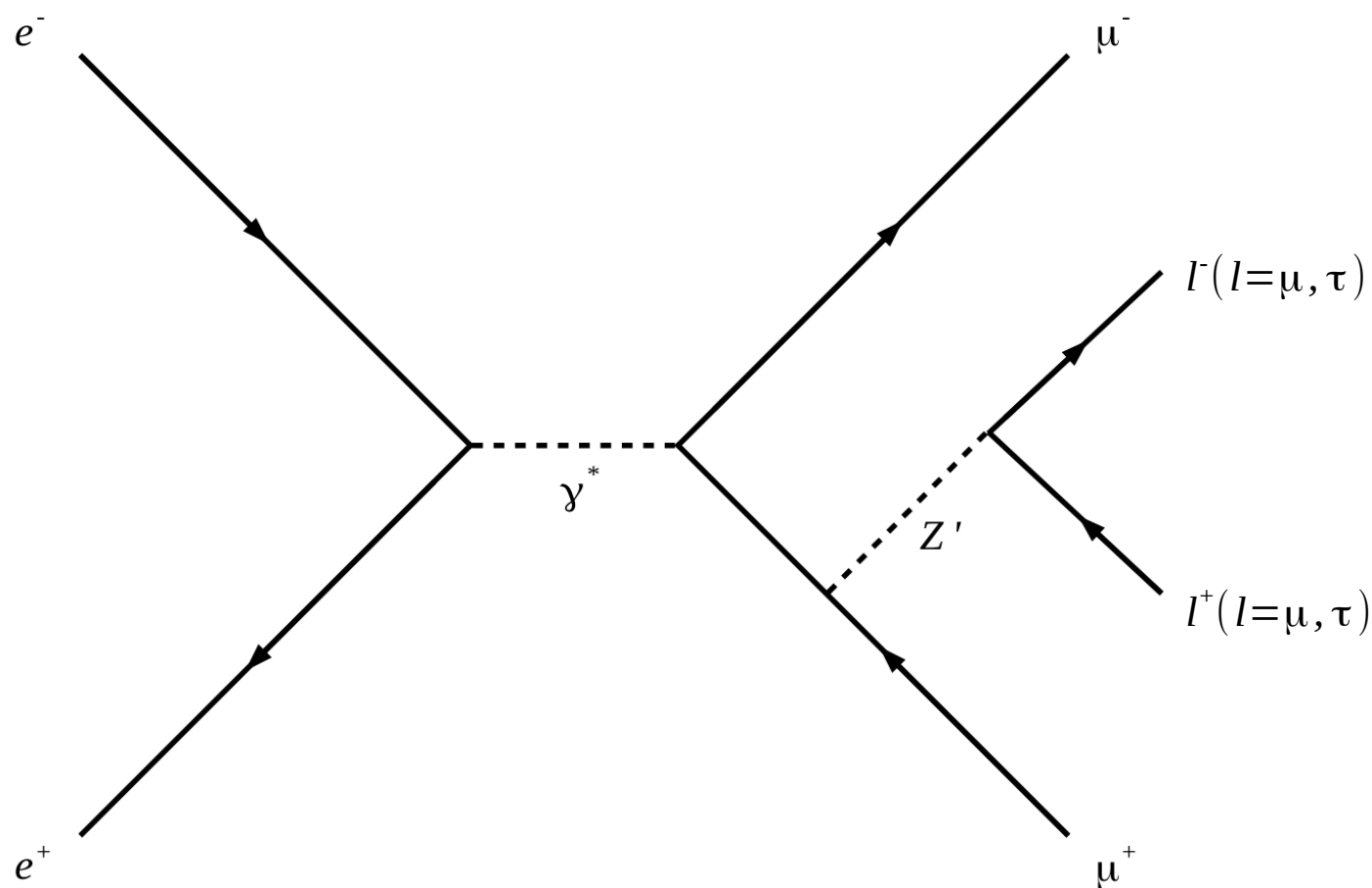
$$\Gamma(Z' \rightarrow \nu_\ell \bar{\nu}_\ell) = \frac{(g')^2 M_{Z'}}{24\pi}.$$

$$BR(Z' \rightarrow invisible) = \frac{2\Gamma(Z' \rightarrow \nu_i \bar{\nu}_i)}{2\Gamma(Z' \rightarrow \nu_i \bar{\nu}_i) + \Gamma(Z' \rightarrow \mu \bar{\mu}) + \Gamma(Z' \rightarrow \tau \bar{\tau})}$$

→ The branching fraction to one neutrino species is half of the branching fraction to one charged lepton flavour. The reason is, of course, that the  $Z'$  only couples to left-handed neutrino chiralities whereas it couples to both left- and right-handed charged leptons.

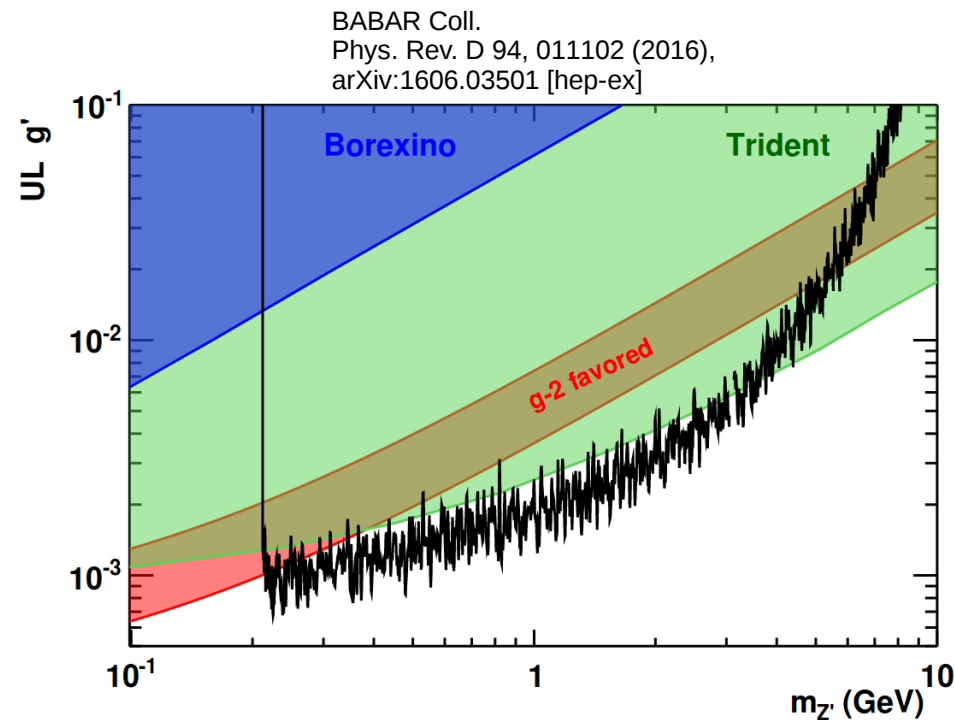
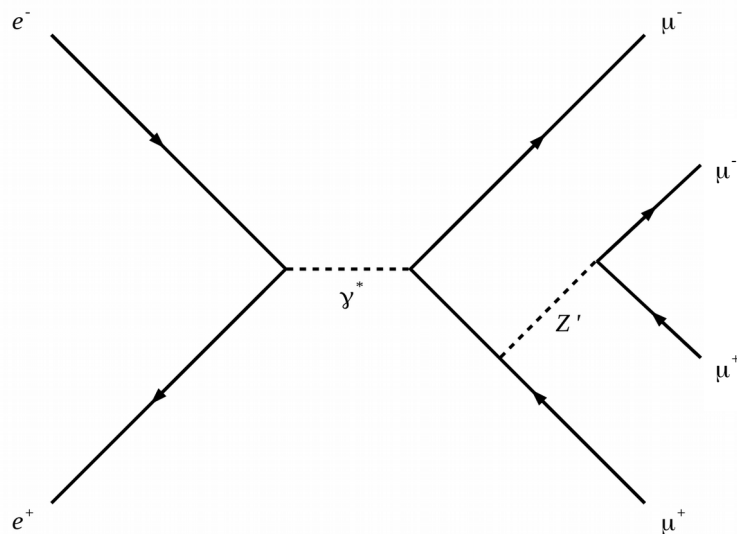
- For  $M_{Z'} < 2M_\mu$   $Br(Z' \rightarrow invisible) = 1$ .
- For  $2M_\mu < M_{Z'} < 2M_\tau$   $Br(Z' \rightarrow invisible) \sim 1/2$
- For  $M_{Z'} > 2M_\tau$   $Br(Z' \rightarrow invisible) \sim 1/3$

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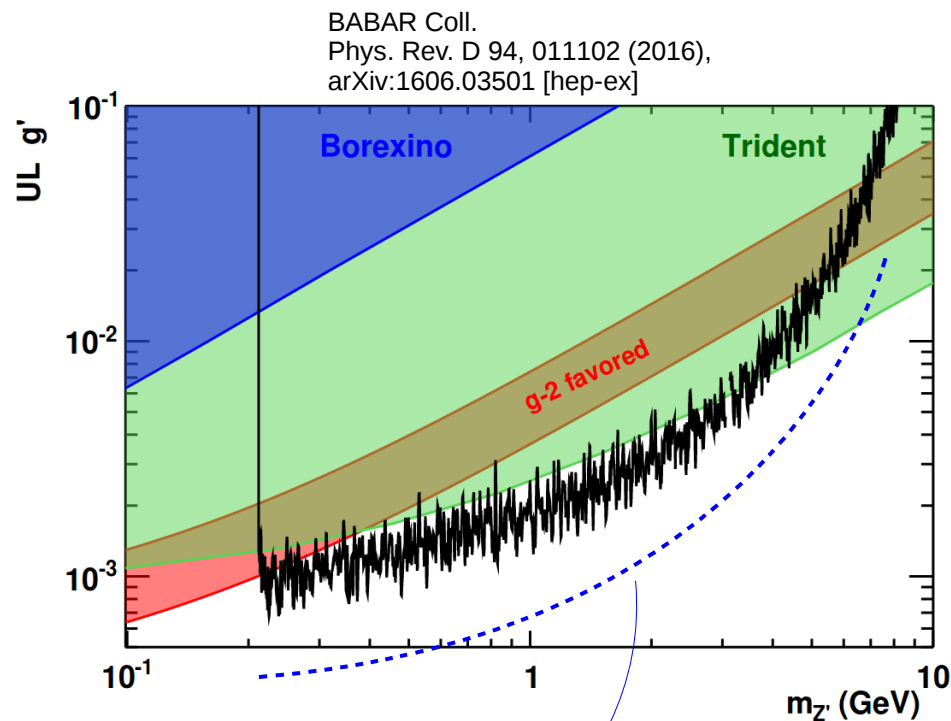
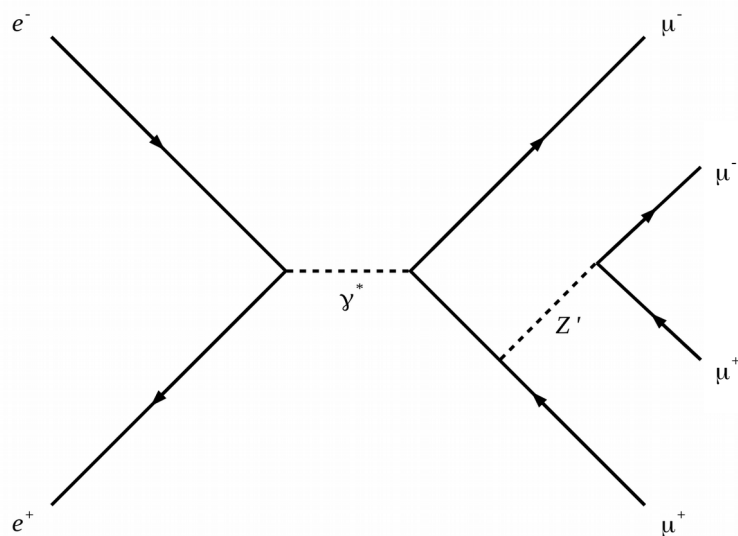
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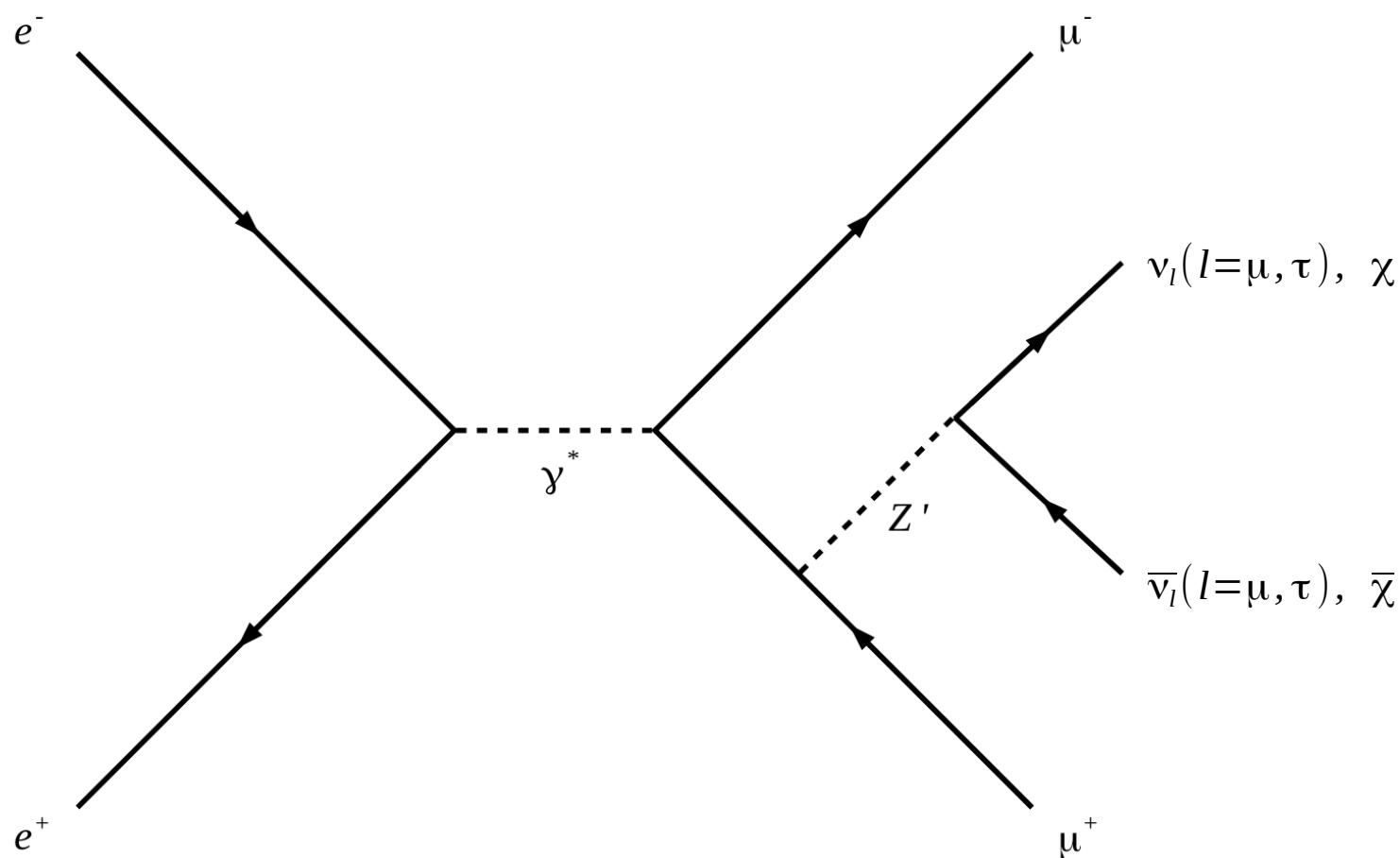
# The $L_\mu$ - $L_\tau$ model in the context of dark sector searches: a dark $Z'$



**Rough projection to Belle II luminosity preliminary studies are ongoing**

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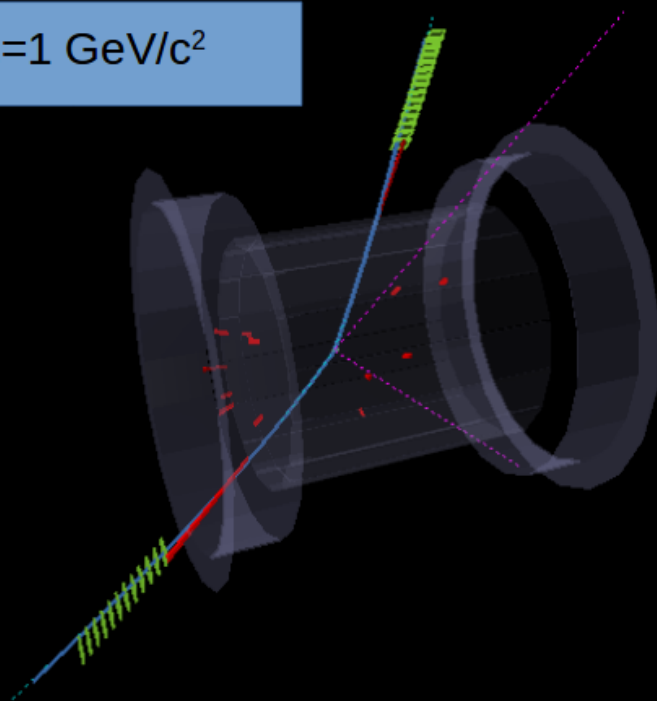
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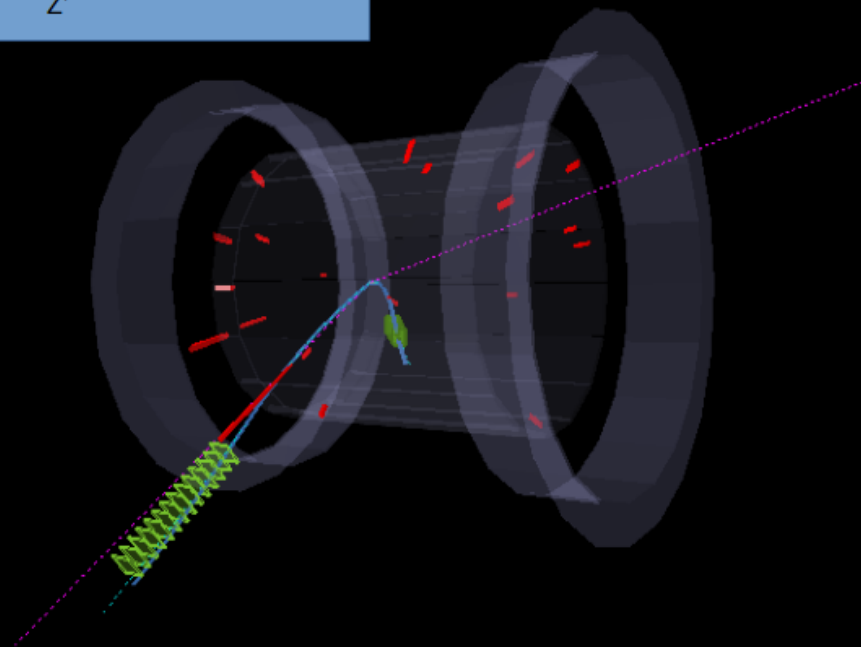
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# $Z'$ $\rightarrow$ invisible, Belle II Event Display

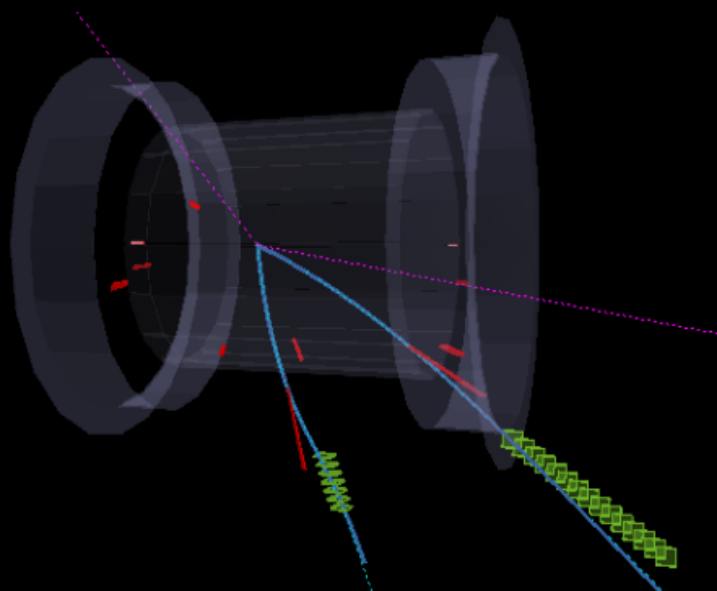
$M_{Z'}=1 \text{ GeV}/c^2$



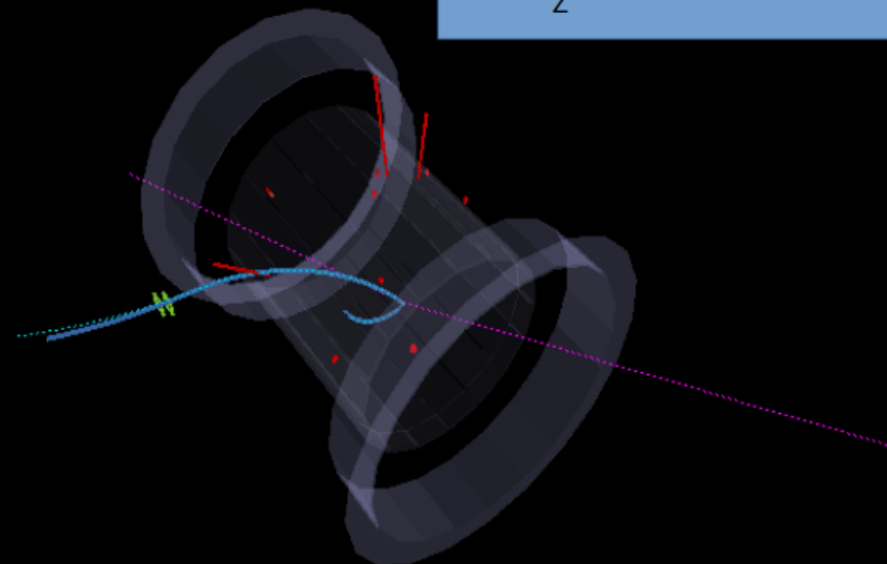
$M_{Z'}=4 \text{ GeV}/c^2$



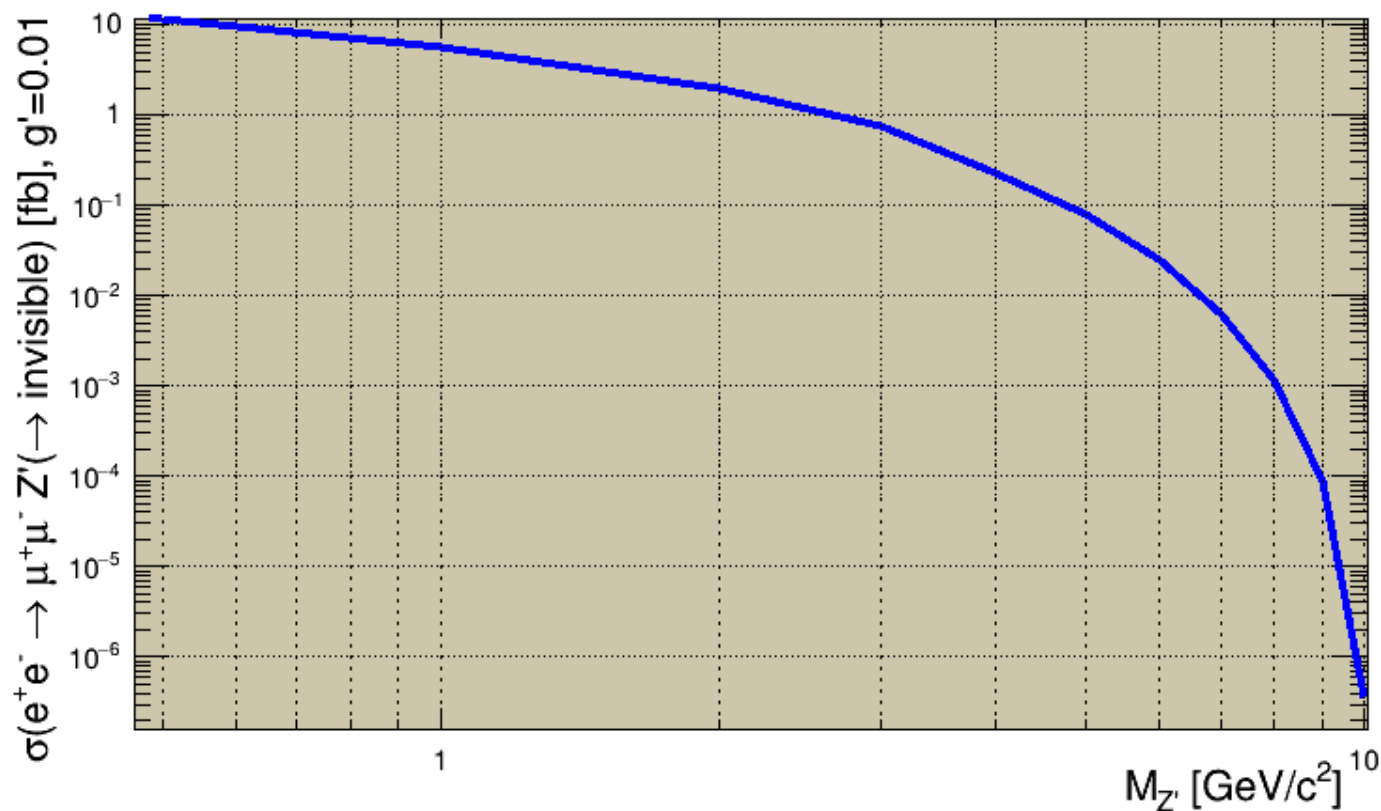
$M_{Z'}=8 \text{ GeV}/c^2$



$M_{Z'}=9.7 \text{ GeV}/c^2$



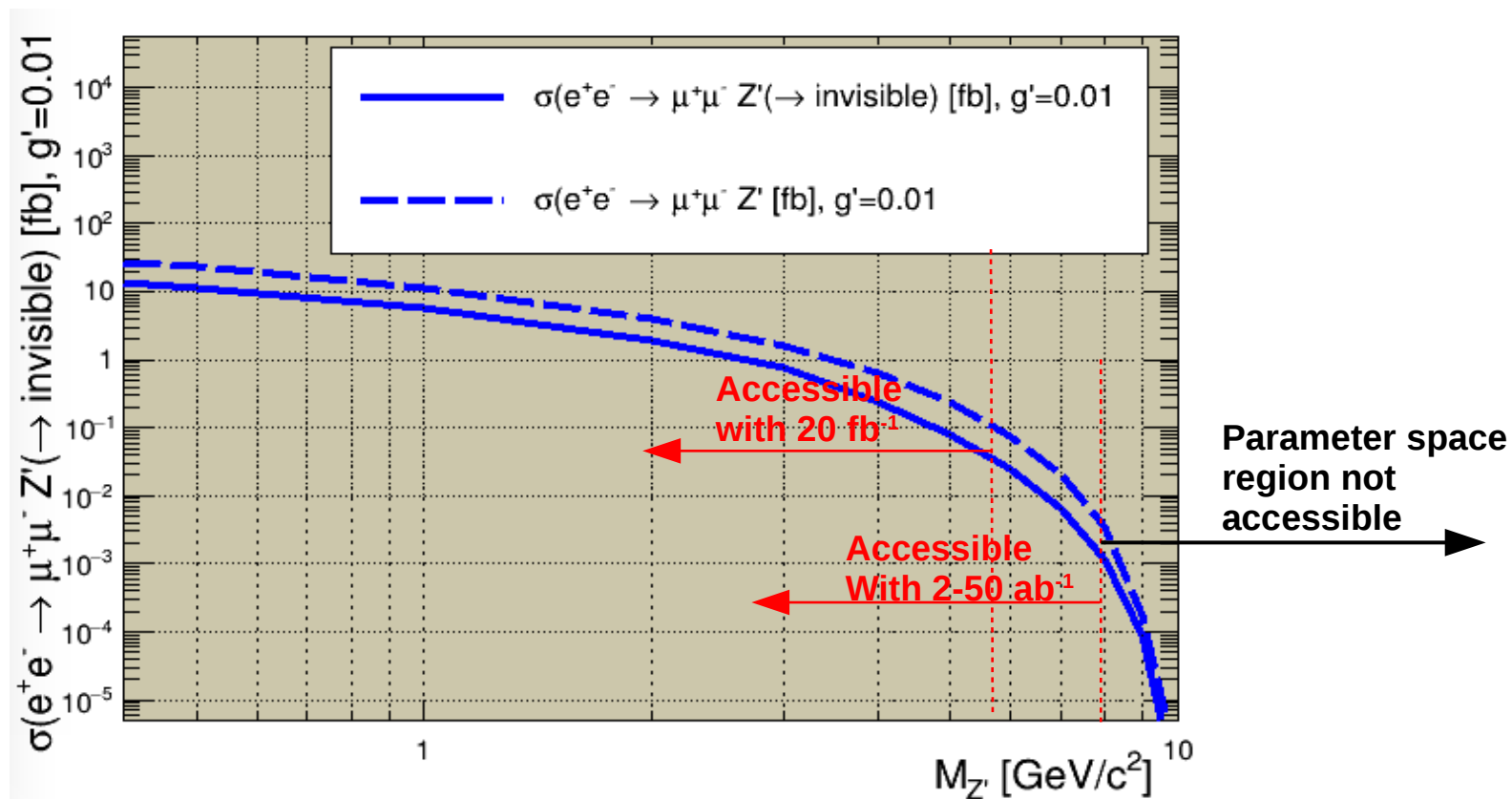
# Cross section for $Z' \rightarrow$ invisible (i)



- Cross section provided by MadGraph for  $e^+e^- \rightarrow \mu^+\mu^-Z'$ ,  $Z' \rightarrow \nu_\mu\bar{\nu}_\mu$  and multiplied by a factor 2 to account for  $Z' \rightarrow \nu_\tau\bar{\nu}_\tau$  as this is the other channel that contribute to the invisible decays of  $Z'$ .
- It is assumed  $g' = 0.01$ , cross section for different values of  $g'$  can be obtained by considering that:  
*...the production process involves exactly one insertion of the  $g'$  coupling in the matrix element, then we know that the cross section is proportional to  $g'^2$ . Let's say you use  $g' = 10^{-3}$  to generate events in MadGraph. Then, if I want the cross section for  $g' = 10^{-4}$ , I simply take the cross section output by MG and multiply by  $(10^{-1})^2$ ...*  
*...private conversation with B. Shuve.*



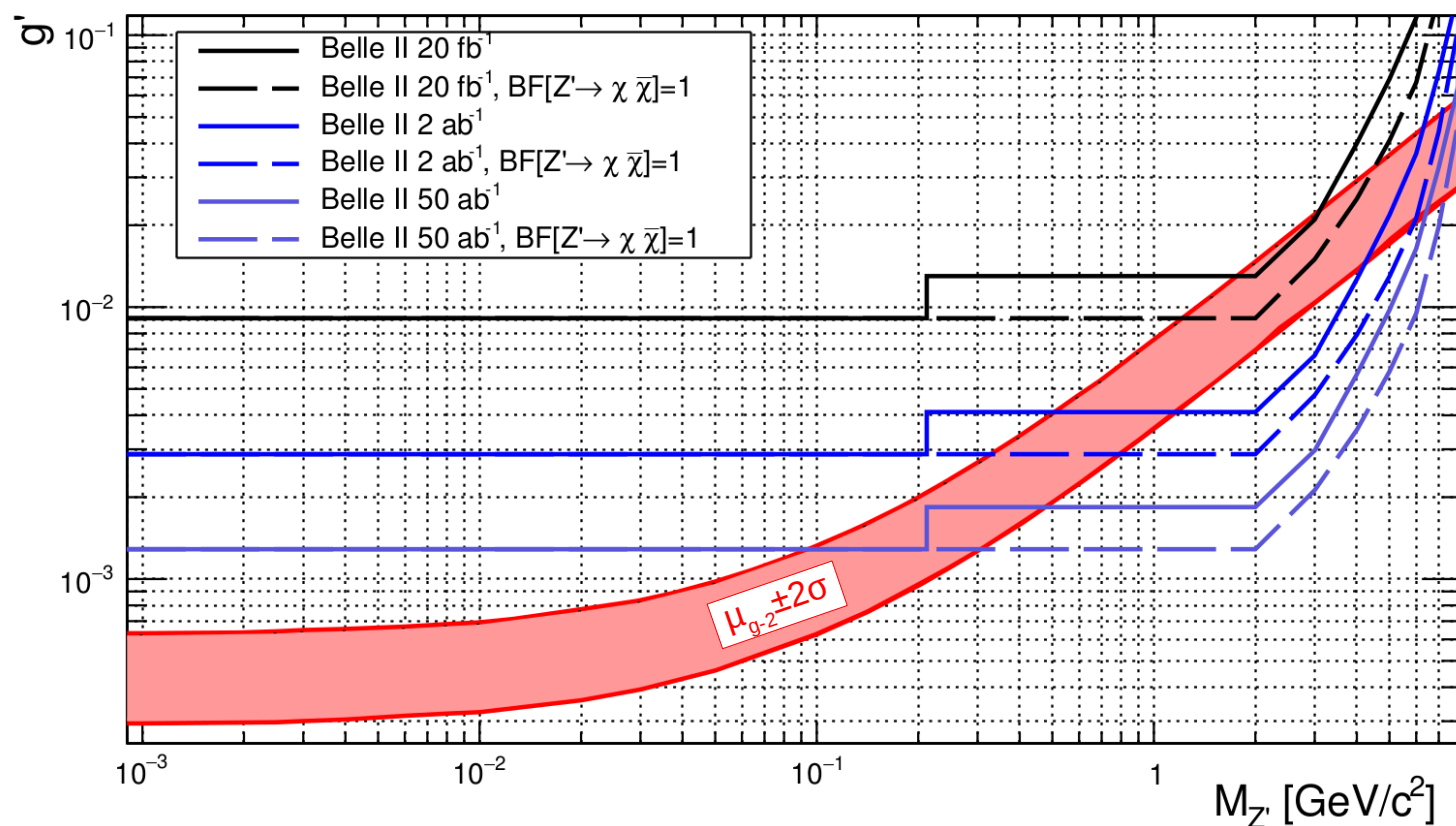
# Cross section for $Z' \rightarrow$ invisible (ii)



- Cross section provided by MadGraph for  $e^+e^- \rightarrow \mu^+\mu^- Z'$ ,  $Z' \rightarrow \nu_\mu \bar{\nu}_\mu$  and multiplied by a factor 2 to account for  $Z' \rightarrow \nu_\tau \bar{\nu}_\tau$  as this is the other channel that contribute to the invisible decays of  $Z'$ .
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*...private conversation with B. Shuve.*

# Belle II Expected Sensitivity

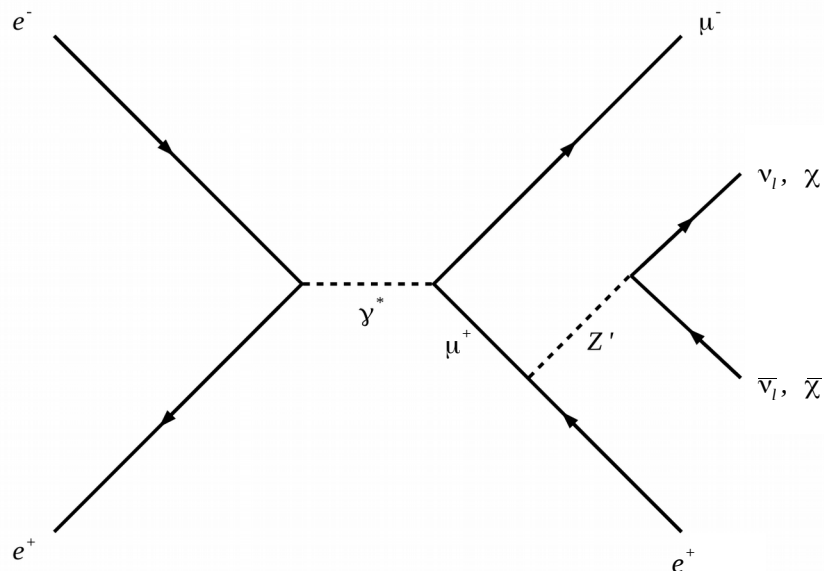
- Based only on expected background and luminosity
- Expected upper limits to  $g'$  value at 90% C.L.
- Bad mass resolution on the signal at low masses affects final sensitivity



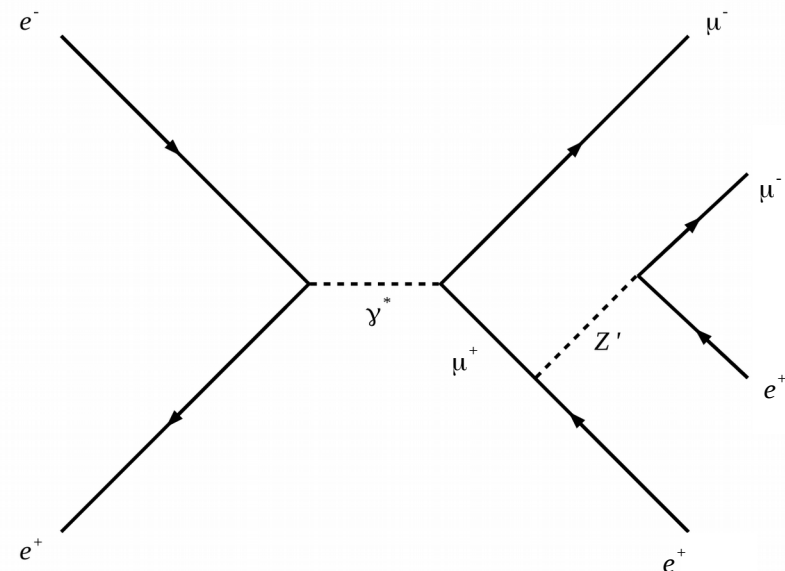
- Does not account for all the efficiencies (but sensitivity scale as  $L^{1/4}$ ...)

# What about a LFV Z'?

# What about a LFV Z'?



*final state:  $e^+ \mu^- + \text{invisible} (+c.c.)$*



*final state:  $2e^+ 2\mu^- (+c.c.)$*

See for example [arXiv:1610.08060](https://arxiv.org/abs/1610.08060) or [ArXiv:1701.08767](https://arxiv.org/abs/1701.08767)

- Complement the search for low mass  $Z'$  and low mass dark sector
- Alternative way to look into cLFV, complementing ongoing searches
- (Almost) background free
- Get a search for doubly charged bosons for free
  
- Work in progress at Belle II



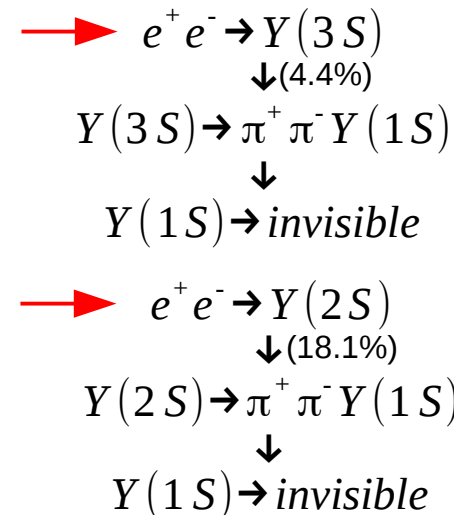
# Invisible Y(1S) Decays @ Belle II

$Y(nS)$ : bound state of a  $b$  quark and a  $\bar{b}$  antiquark

$$\frac{BR(Y(1S) \rightarrow \nu \bar{\nu})}{BR(Y(1S) \rightarrow e^+ e^-)} = \frac{27 G^2 M_{Y(1S)}^4}{64 \pi^2 \alpha^2} \left(-1 + \frac{4}{3} \sin^2 \theta_W\right)^2 = 4.14 \times 10^{-4}$$

$$BR(Y(1S) \rightarrow \nu \bar{\nu}) \sim 9.9 \times 10^{-6}$$

- Low mass dark matter particles however might play a role in the decays of  $Y(1S)$ , having  $Y(1S) \rightarrow \chi\chi$  if kinematic allowed. [Phys. Rev. D **80**, 115019, 2009]
- Also, new mediators ( $Z'$ ,  $A^0$ ,  $h^0$ ) or SUSY particles might enhance  $Y(1S) \rightarrow \nu\nu(\gamma)$ . [Phys. Rev. D **81**, 054025, 2010]
- In absence of new physics enhancement, Belle2 should be able to observe the SM  $Y(1S) \rightarrow \nu\nu$

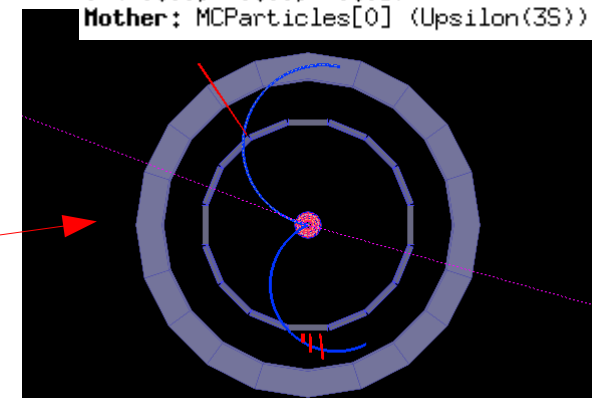


Belle2 Simulation

$Y(3S) \rightarrow \pi^+ \pi^- Y(1S)$ ,

$Y(1S) \rightarrow \nu\nu$

```
Charge=1, PDG=211 (pi+)
pT=0.420365, pZ=0.000692372
V=(-0.00, -0.00, -0.03)
Mother: MCParticles[0] (Upsilon(3S))
```



```
Charge=-1, PDG=-211 (pi-)
pT=0.344016, pZ=0.118851
V=(-0.00, -0.00, -0.03)
Mother: MCParticles[0] (Upsilon(3S))
```

$$M_{Y(3S)} = 10.355 \text{ GeV}/c^2, \quad M_{Y(2S)} = 10.023 \text{ GeV}/c^2, \quad M_{Y(1S)} = 9.460 \text{ GeV}/c^2$$

~ 900 MeV available for  $P_{\pi\pi}$

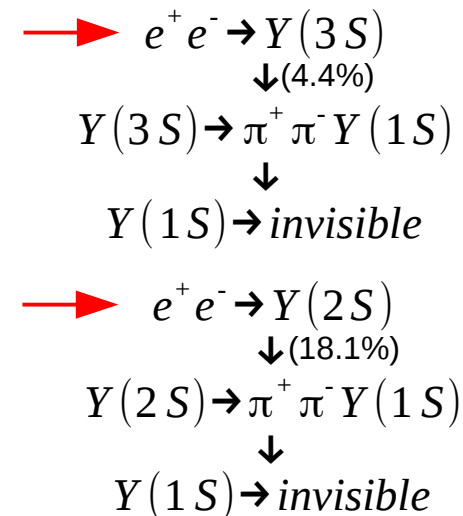
~ 540 MeV available for  $P_{\pi\pi}$

# Invisible $Y(1S)$ Decays @ Belle II

$$\frac{BR(Y(1S) \rightarrow \nu \bar{\nu})}{BR(Y(1S) \rightarrow e^+ e^-)} = \frac{27 G^2 M_{Y(1S)}^4}{64 \pi^2 \alpha^2} \left(-1 + \frac{4}{3} \sin^2 \theta_W\right)^2 = 4.14 \times 10^{-4}$$

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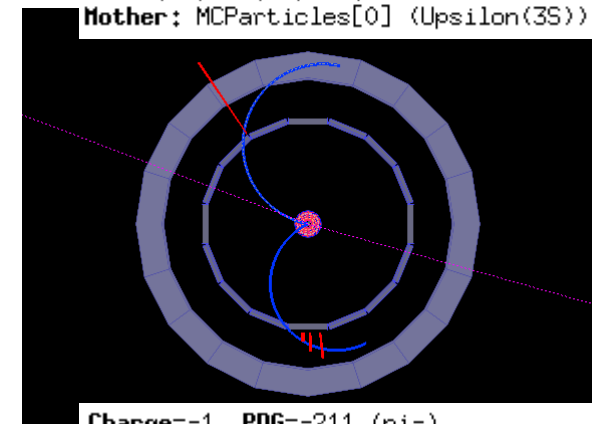


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V=(-0.00, -0.00, -0.03)
Mother: MCParticles[0] (Upsilon(3S))
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```
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pT=0.344016, pZ=0.118851
V=(-0.00, -0.00, -0.03)
Mother: MCParticles[0] (Upsilon(3S))
```

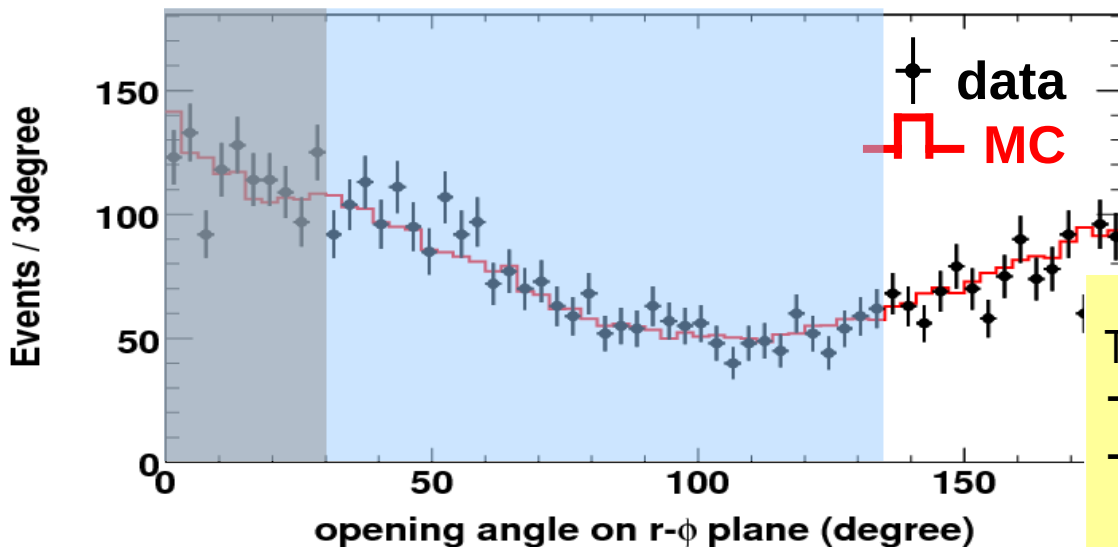
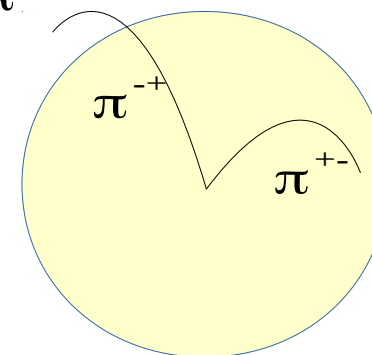
A signal of  $Y(1S) \rightarrow \text{invisible}$  is an excess of events over the background in the  $M_r$  distribution at a mass equivalent to that of the  $Y(1S)$  ( $9.460 \text{ GeV}/c^2$ )

$$M_r^2 = s + M_{\pi^+ \pi^-}^2 - 2 \sqrt{s} E_{\pi^+ \pi^-}^{CMS}$$

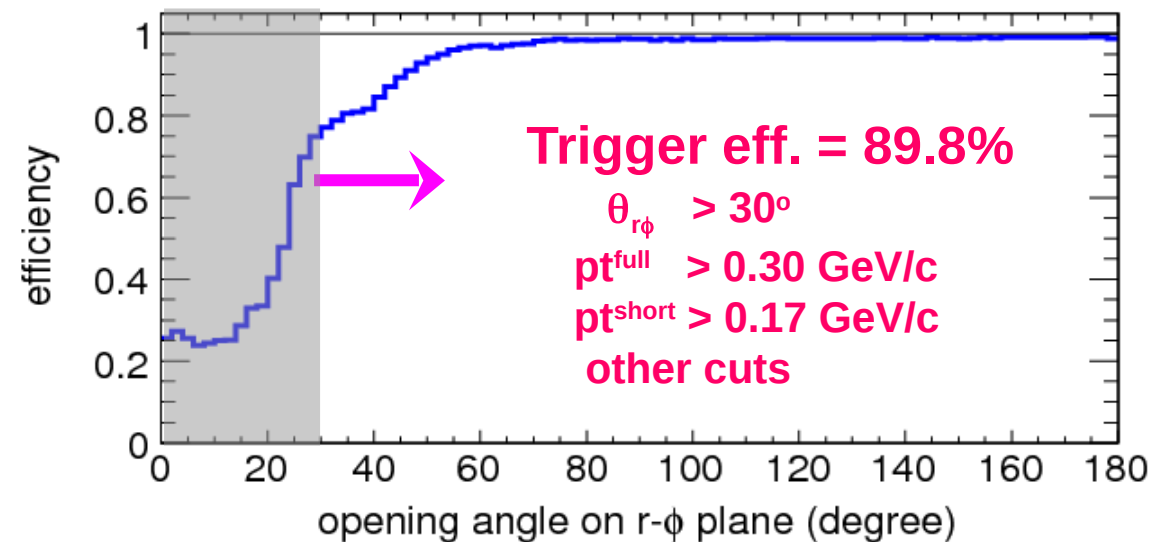
# Trigger Considerations

$$Y(3S) \rightarrow \pi^+\pi^-Y(1S)$$

$$Y(1S) \rightarrow \mu^+\mu^-$$



Too low efficiency with usual condition ( $>135^\circ$ )  
 → Higher efficiency with looser condition  
 → Special trigger condition was implemented (~850 Hz, twice as usual condition)



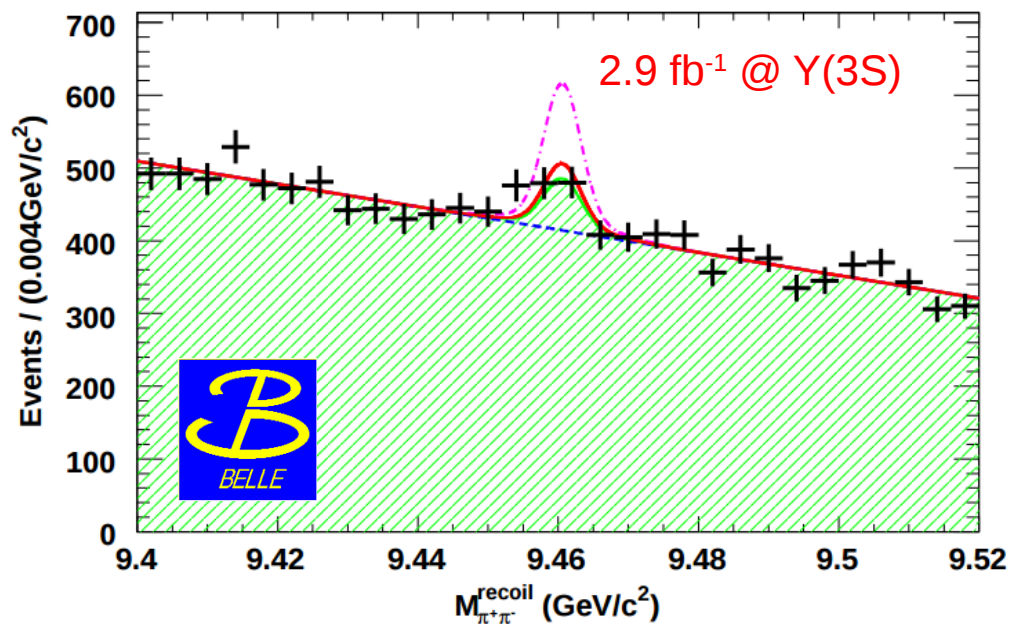
Single track trigger was implemented, too with 1/500 pre-scale rate ( $pt > 250 \text{ MeV}/c$ )  
2-track trigger & 1-track trigger  
 1-track trigger  
 for efficiency monitoring



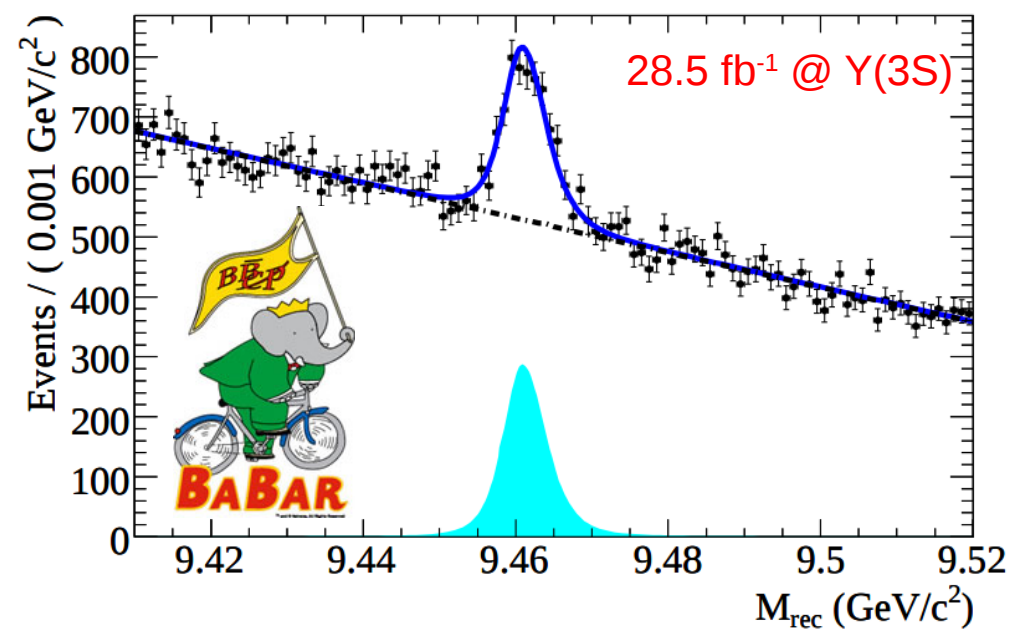
# Invisible $Y(1S)$ Decays: Signal or Background?

$$M_r^2 = s + M_{\pi^+\pi^-} - 2\sqrt{s}E_{\pi^+\pi^-}^{CMS}$$

[belle]: <http://arxiv.org/abs/hep-ex/0611041>  
(1 week running @  $Y(3S)$ )



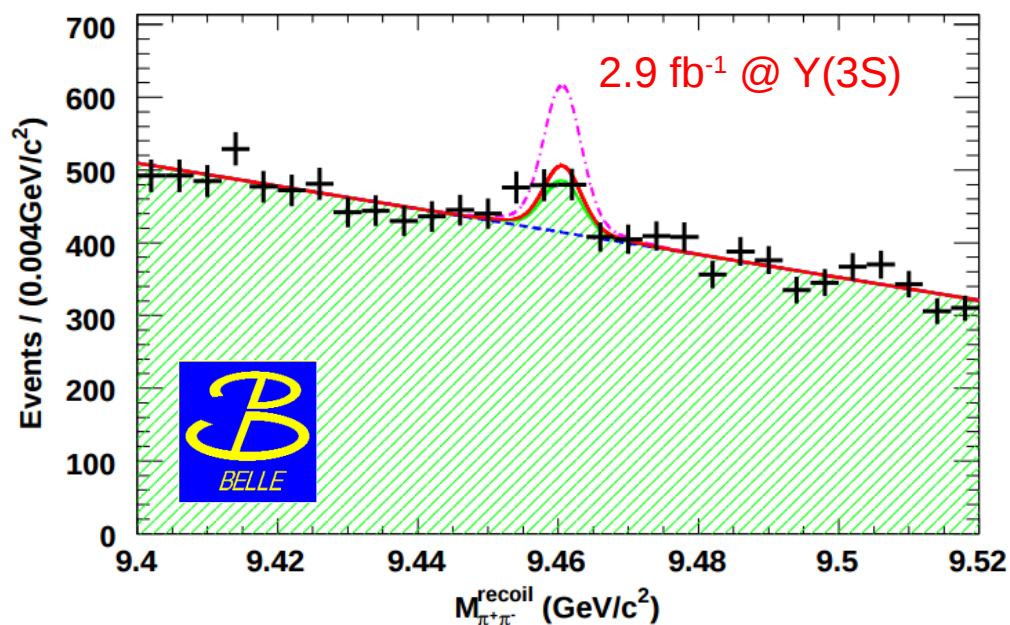
[babar]: <http://arxiv.org/abs/0908.2840>  
(2 months running @  $Y(3S)$ )



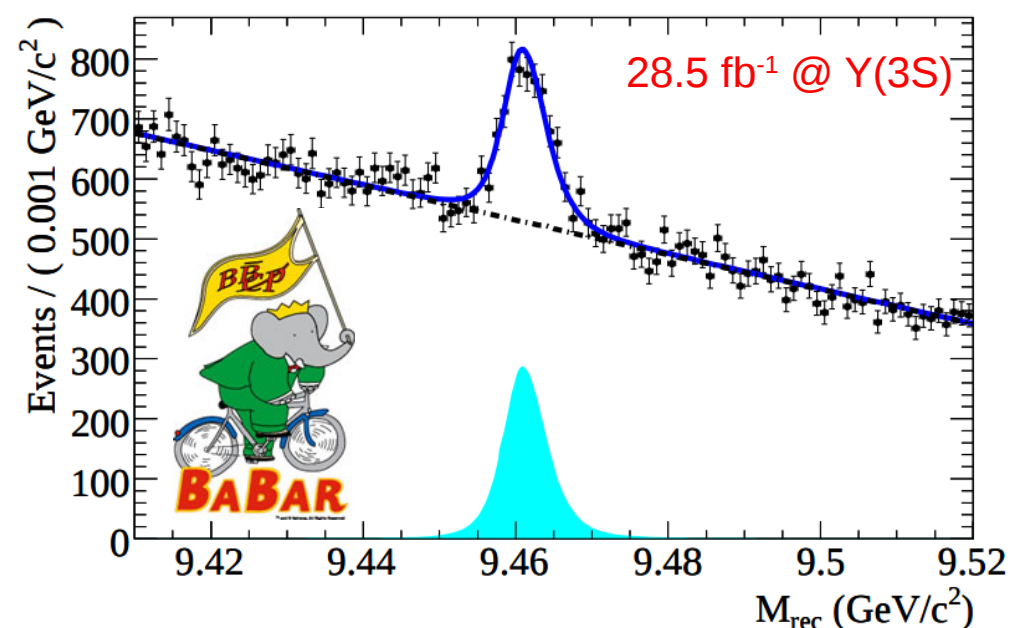
# Invisible $Y(1S)$ Decays: Belle II Discovery Potential

$$M_r^2 = s + M_{\pi^+\pi^-} - 2\sqrt{s}E_{\pi^+\pi^-}^{CMS}$$

[belle]: <http://arxiv.org/abs/hep-ex/0611041>  
(1 week running @  $Y(3S)$ )



[babar]: <http://arxiv.org/abs/0908.2840>  
(2 months running @  $Y(3S)$ )



No signal was observed over the expected background and upper limits have been obtained:  $\text{BR}(Y \rightarrow \nu\nu) < 3 \times 10^{-4}$  (BaBar) and  $\text{BR}(Y \rightarrow \nu\nu) < 3.0 \times 10^{-3}$  (Belle).

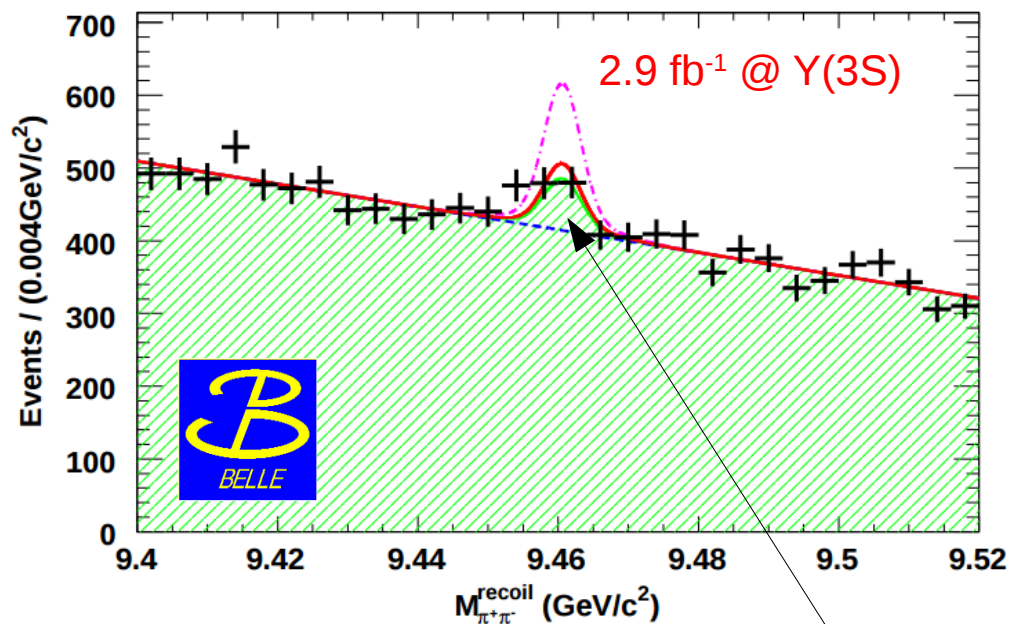
At Belle 2 one would expect to collect  $>200 \text{fb}^{-1}$  of data @  $Y(3S)$  (ongoing discussion for  $Y(2S)$  data taking and trigger) allowing one to reconstruct between 30 and 300 events, assuming  $10^{-5}$  (SM)  $< \text{BR}(Y \rightarrow \text{invisible}) < 10^{-4}$  (NP) and Belle efficiencies.



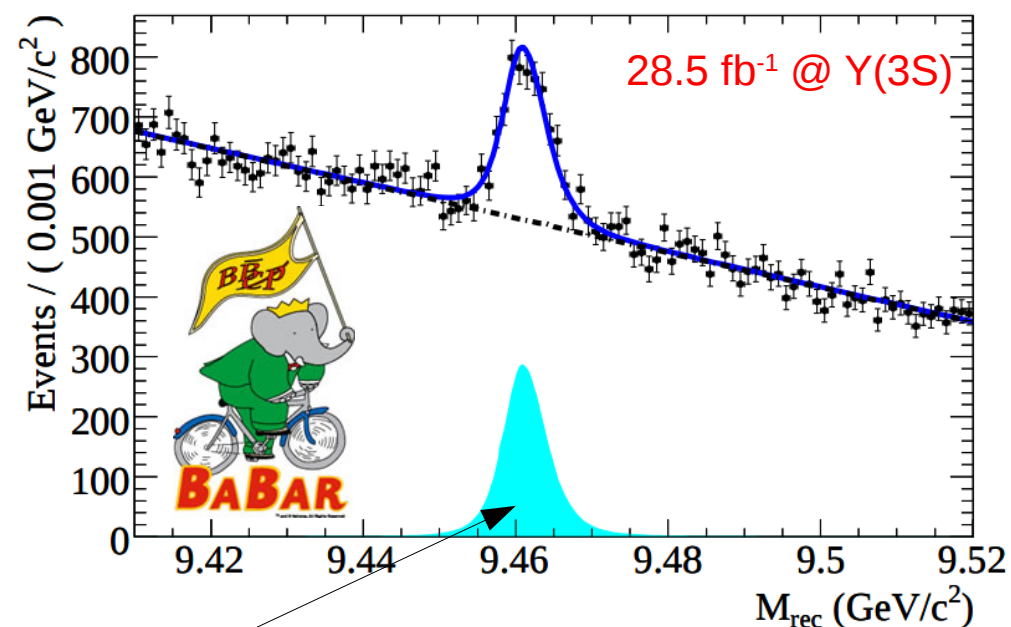
# Invisible $Y(1S)$ Decays: Signal or Background?

$$M_r^2 = s + M_{\pi^+\pi^-} - 2\sqrt{s}E_{\pi^+\pi^-}^{CMS}$$

[belle]: <http://arxiv.org/abs/hep-ex/0611041>  
(1 week running @  $Y(3S)$ )



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(2 months running @  $Y(3S)$ )

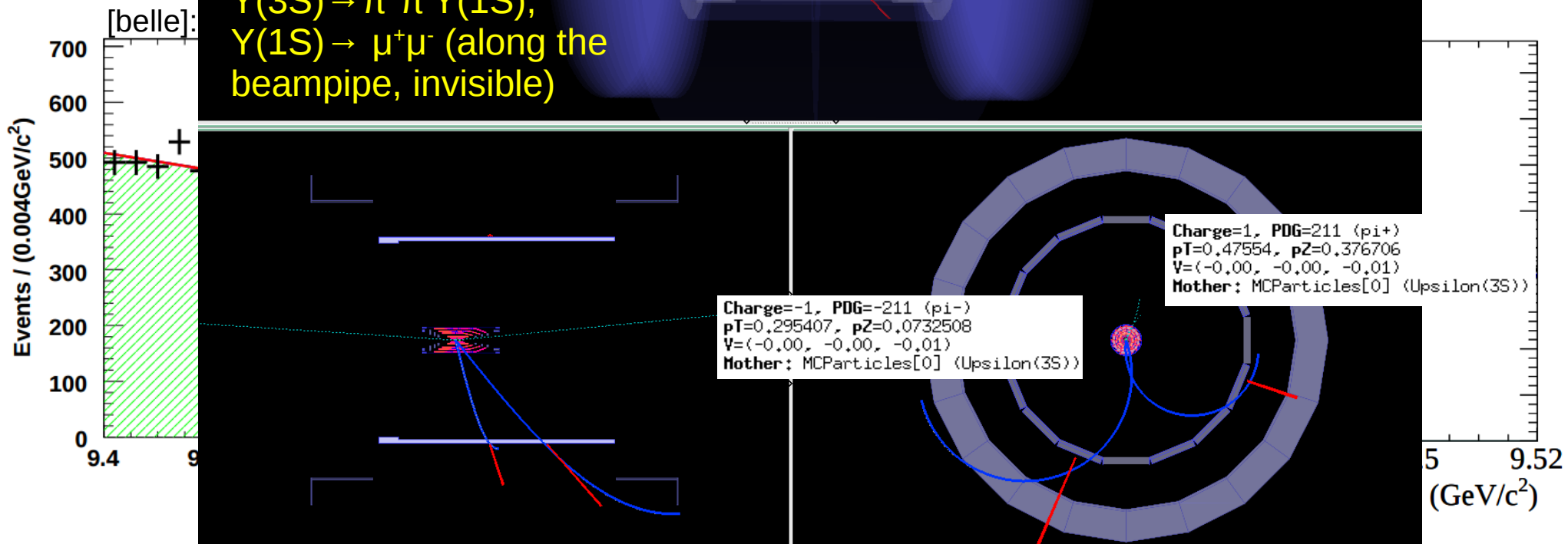


Irreducible peaking background when final states go undetected (i.e. detector supports, beampipe etc.) in the process  $Y(3S) \rightarrow \pi^+\pi^-Y(1S), Y(1S) \rightarrow \text{undetected } f.s.$

# Invisible $Y(1S)$ Decays: irreducible background

Belle2 Simulation

$Y(3S) \rightarrow \pi^+ \pi^- Y(1S)$ ,  
 $Y(1S) \rightarrow \mu^+ \mu^-$  (along the  
 beampipe, invisible)



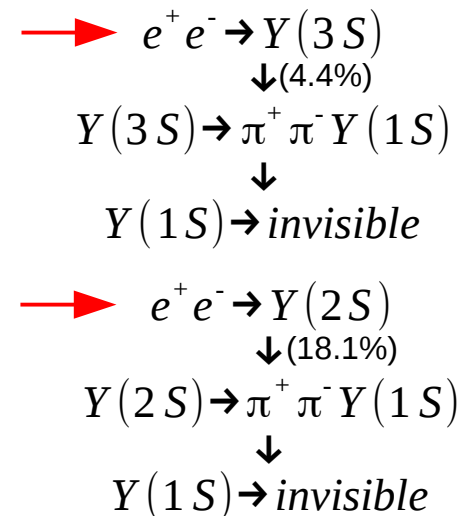
Irreducible peaking background when final states go undetected (i.e. detector supports, beampipe etc.) in the process  $Y(3S) \rightarrow \pi^+ \pi^- Y(1S), Y(1S) \rightarrow \text{undetected } f.s.$

# Invisible $Y(1S)$ Decays @ Belle II: Expected Yields

$$\frac{BR(Y(1S) \rightarrow \nu \bar{\nu})}{BR(Y(1S) \rightarrow e^+ e^-)} = \frac{27 G^2 M_{Y(1S)}^4}{64 \pi^2 \alpha^2} \left(-1 + \frac{4}{3} \sin^2 \theta_W\right)^2 = 4.14 \times 10^{-4}$$

$$BR(Y(1S) \rightarrow \nu \bar{\nu}) \sim 9.9 \times 10^{-6}$$

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- In absence of new physics enhancement, Belle2 should be able to strongly constrain the SM  $Y(1S) \rightarrow \nu\nu$

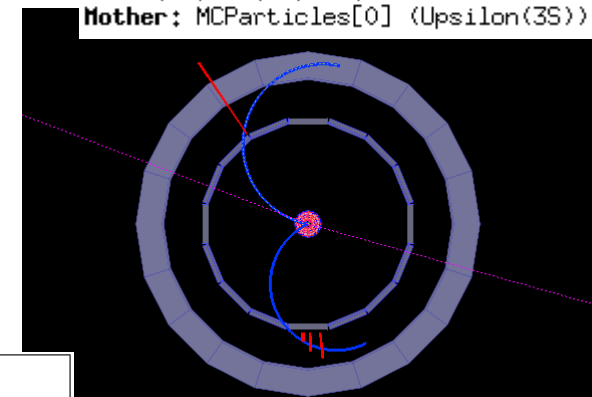


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pT=0.344016, pZ=0.118851
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Mother: MCParticles[0] (Upsilon(3S))
```

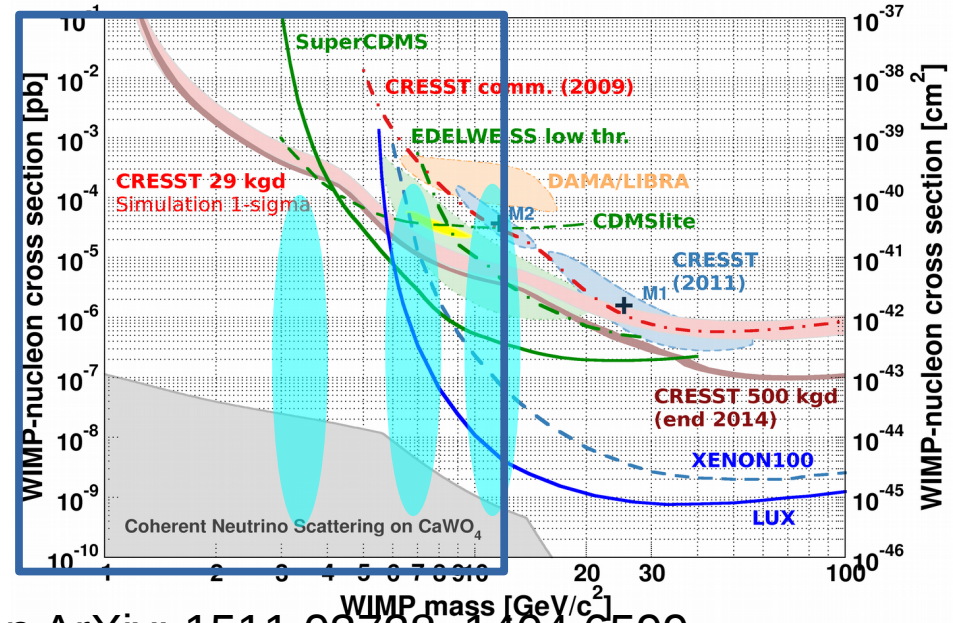
No signal was observed over the expected background and upper limits have been obtained:  $BR(Y \rightarrow \nu\nu) < 3 \times 10^{-4}$  (BaBar) and  $BR(Y \rightarrow \nu\nu) < 3.0 \times 10^{-3}$  (Belle).

| Process   | $L_{int}(ab^{-1})$   | $\epsilon$ | $N(Y(1S))$        | $N_{Y(1S) \rightarrow \nu\bar{\nu}}$ | $N_{NP}$   |
|---|----------------------|------------|-------------------|--------------------------------------|------------|
| $\Upsilon(2S) \rightarrow \pi^+ \pi^- \Upsilon(1S)$                             | 0.2, $\Upsilon(2S)$  | 0.1-0.2    | $2.3 \times 10^8$ | 230-460                              | 6900-13800 |
| $\Upsilon(3S) \rightarrow \pi^+ \pi^- \Upsilon(1S)$                             | 0.2, $\Upsilon(3S)$  | 0.1-0.2    | $3.2 \times 10^7$ | 32-64                                | 945-1890   |
| $\Upsilon(4S) \rightarrow \pi^+ \pi^- \Upsilon(1S)$                             | 50.0, $\Upsilon(4S)$ | 0.1-0.2    | $5.5 \times 10^6$ | 5.5-11                               | 165-310    |
| $\Upsilon(5S) \rightarrow \pi^+ \pi^- \Upsilon(1S)$                             | 5.0, $\Upsilon(5S)$  | 0.1-0.2    | $7.6 \times 10^6$ | 7.6-15.2                             | 228-456    |
| $\gamma_{ISR} \Upsilon(2S) \rightarrow (\gamma_{ISR}) \pi^+ \pi^- \Upsilon(1S)$ | 50.0, $\Upsilon(4S)$ | 0.1-0.2    | $1.5 \times 10^8$ | 150-300                              | 4500-9000  |
| $\gamma_{ISR} \Upsilon(3S) \rightarrow (\gamma_{ISR}) \pi^+ \pi^- \Upsilon(1S)$ | 50.0, $\Upsilon(4S)$ | 0.1-0.2    | $3.5 \times 10^7$ | 35-70                                | 1050-2100  |

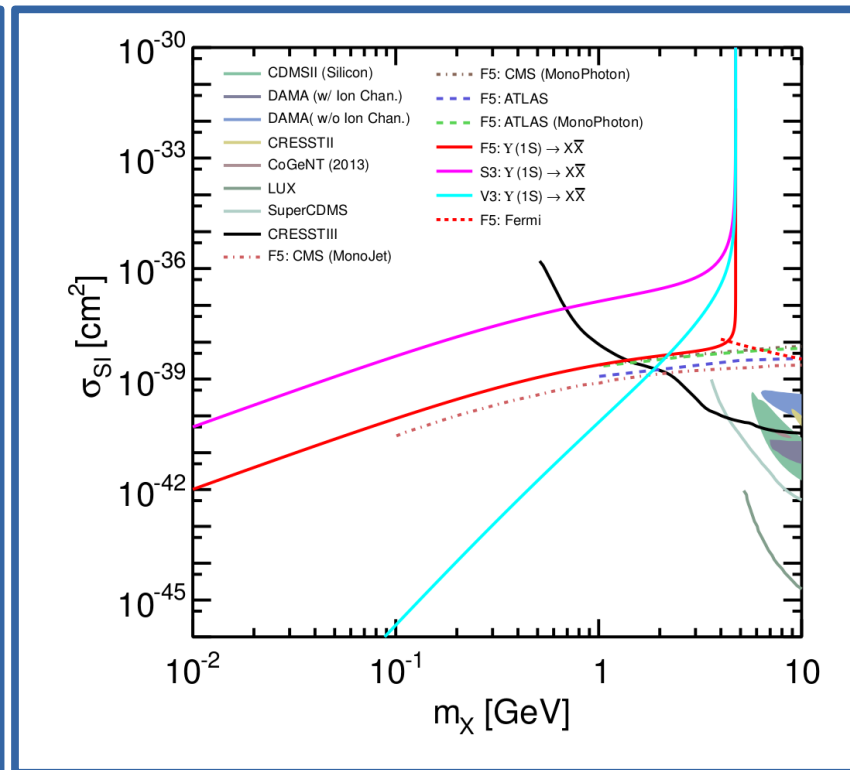
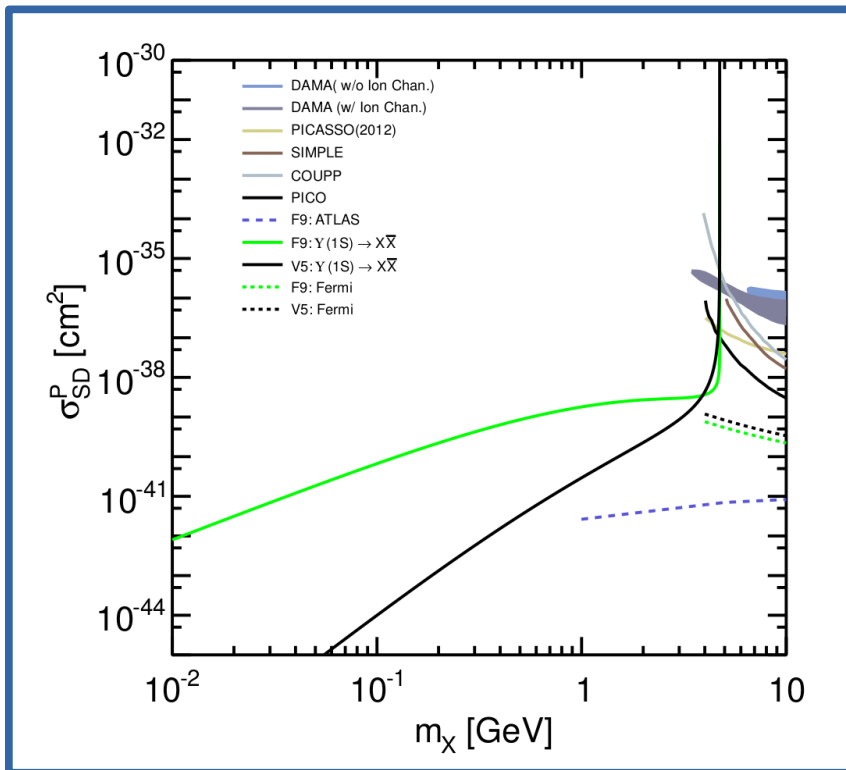
# DM: The Synergy Between Theory, Direct and Collider Searches

Theory work is needed in order to connect direct and indirect searches of dark matter.

- Shown here  $Y(1S) \rightarrow \chi\bar{\chi}$  vs. direct searches.
- Similar studies have performed also for dark photon dark matter (see for example J. Pradler et al. arXiv:1412.8378)



Extrapolation based on ArXiv: 1511.03728, 1404.6599



# Eff. contact operators in for dark matter in $Y(1S) \rightarrow$ invisible

ArXiv: 1404.6599

| Name | Interaction Structure  | Annihilation | Scattering |
|------|--|--------------|------------|
| F5   | $(1/\Lambda^2)\bar{X}\gamma^\mu X\bar{q}\gamma_\mu q$  | Yes          | SI         |
| F6   | $(1/\Lambda^2)\bar{X}\gamma^\mu\gamma^5 X\bar{q}\gamma_\mu q$  | No           | No         |
| F9   | $(1/\Lambda^2)\bar{X}\sigma^{\mu\nu}X\bar{q}\sigma_{\mu\nu}q$  | Yes          | SD         |
| F10  | $(1/\Lambda^2)\bar{X}\sigma^{\mu\nu}\gamma^5 X\bar{q}\sigma_{\mu\nu}q$                               | Yes          | No         |
| S3   | $(1/\Lambda^2)iIm(\phi^\dagger\partial_\mu\phi)\bar{q}\gamma^\mu q$                                  | No           | SI         |
| V3   | $(1/\Lambda^2)iIm(B_\nu^\dagger\partial_\mu B^\nu)\bar{q}\gamma^\mu q$                               | No           | SI         |
| V5   | $(1/\Lambda)(B_\mu^\dagger B_\nu - B_\nu^\dagger B_\mu)\bar{q}\sigma^{\mu\nu}q$                      | Yes          | SD         |
| V6   | $(1/\Lambda)(B_\mu^\dagger B_\nu - B_\nu^\dagger B_\mu)\bar{q}\sigma^{\mu\nu}\gamma^5 q$             | Yes          | No         |
| V7   | $(1/\Lambda^2)B_\nu^{(\dagger)}\partial^\nu B_\mu\bar{q}\gamma^\mu q$                                | No           | No         |
| V9   | $(1/\Lambda^2)\epsilon^{\mu\nu\rho\sigma}B_\nu^{(\dagger)}\partial_\rho B_\sigma\bar{q}\gamma_\mu q$ | No           | No         |

TABLE I. Effective contact operators which can mediate the decay of a  $J^{PC} = 1^{--}$  quarkonium bound state. We also indicate if the operator can permit an  $s$ -wave dark matter initial state to annihilate to a quark/anti-quark pair; if so, then a bound can also be set by indirect observations of photons originating from dwarf spheroidal galaxies. Lastly, we indicate if the effective operator can mediate velocity-independent nucleon scattering which is either spin-independent (SI) or spin-dependent (SD).

## Outlook

- Although the Belle II experiment is designed mainly for B-physics, the detector capabilities offer many possibilities to explore dark sector models,
  - in this talk we considered various example final states including charged particles in the final state and charged particles plus missing energy.
- Discovering dark matter is today one of the biggest challenges we are facing, but more important is the understanding of its nature
  - Synergy between different experiments and Collaborations is required.
- Many searches at the Belle II experiment are ongoing and higher precision will be reached thanks to the great luminosity of Belle II at Super-KEK and thanks to improved hardware/software.
- We look forward to a bright future for dark sector physics.



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**Thank you for your attention!**